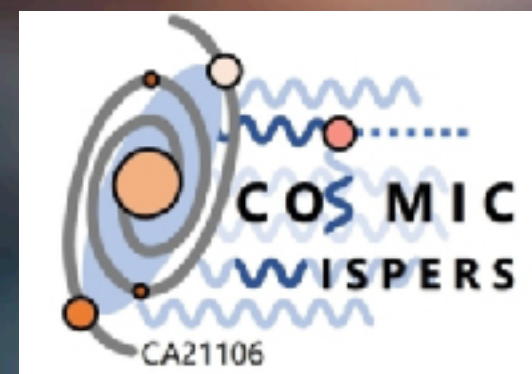


# Diffuse Axion Background

Joshua Eby  
Oskar Klein Centre  
Stockholm University

*COST Action "Cosmic Wispers"  
WG4 Topical Meeting  
2024/06/24*



DALL-E 3 illustration  
"Diffuse axion background"

**Based on** Eby, Takhistov (2402.00100)



Stockholms  
universitet



# Discovering Axions

today

0

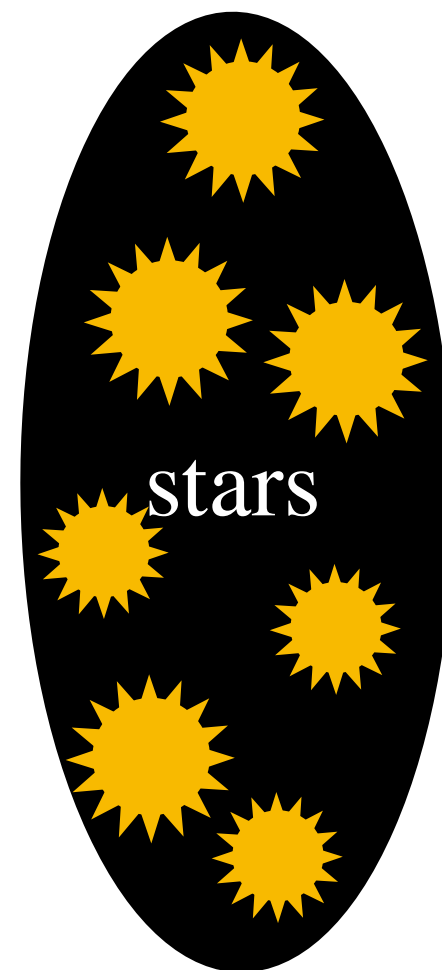
10

$> 10^2$

redshift  $z$



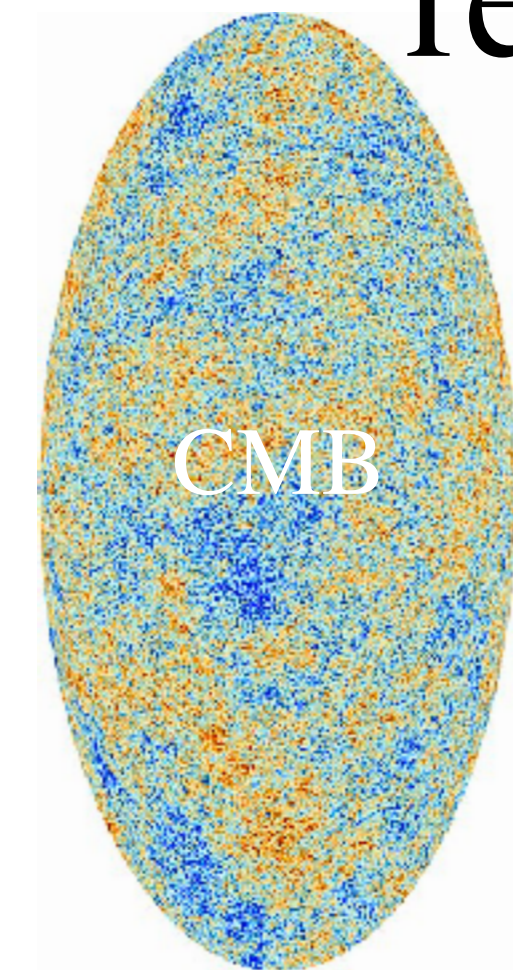
humans



stars



galaxies



CMB

traditional DM searches

$z \sim 0$

- cold,  $v_{\text{dm}} \sim 10^{-3}c$
- direct detection: local DM with  $\rho_{\text{dm}} \simeq 0.4 \text{ GeV}/\text{cm}^3$
- indirect detection: annihilation flux from e.g. galactic center

transient searches

$z \sim 0 - \text{few}$

- Relativistic burst passes Earth, leaving detectable signal
- Boson stars / bosenovae:

**Eby, Takhistov,**  
with Shirai, Stadnik (2106.14893)  
with Arakawa, Safronova, Zaheer,  
(2306.16468, 2402.06736)

diffuse axion background

$z \sim \text{few} - 30$

- build-up of large population of relativistic axions originating in astrophysical bursts

→ Supernovae: **Raffelt, Redondo, Viaux** (1110.6397)

→ General: **Eby, Takhistov** (2402.00100)

cosmic axion background

$z \gg 30$

- “Hot”,  $v \sim c$
- Relativistic population of axions from cosmological sources

**Conlon and Marsh** (1304.1804, 1305.3603)  
**Dror, Murayama, Rodd** (2101.09287)

# Astrophysical bursts of relativistic axions

characterised by

flux

rate

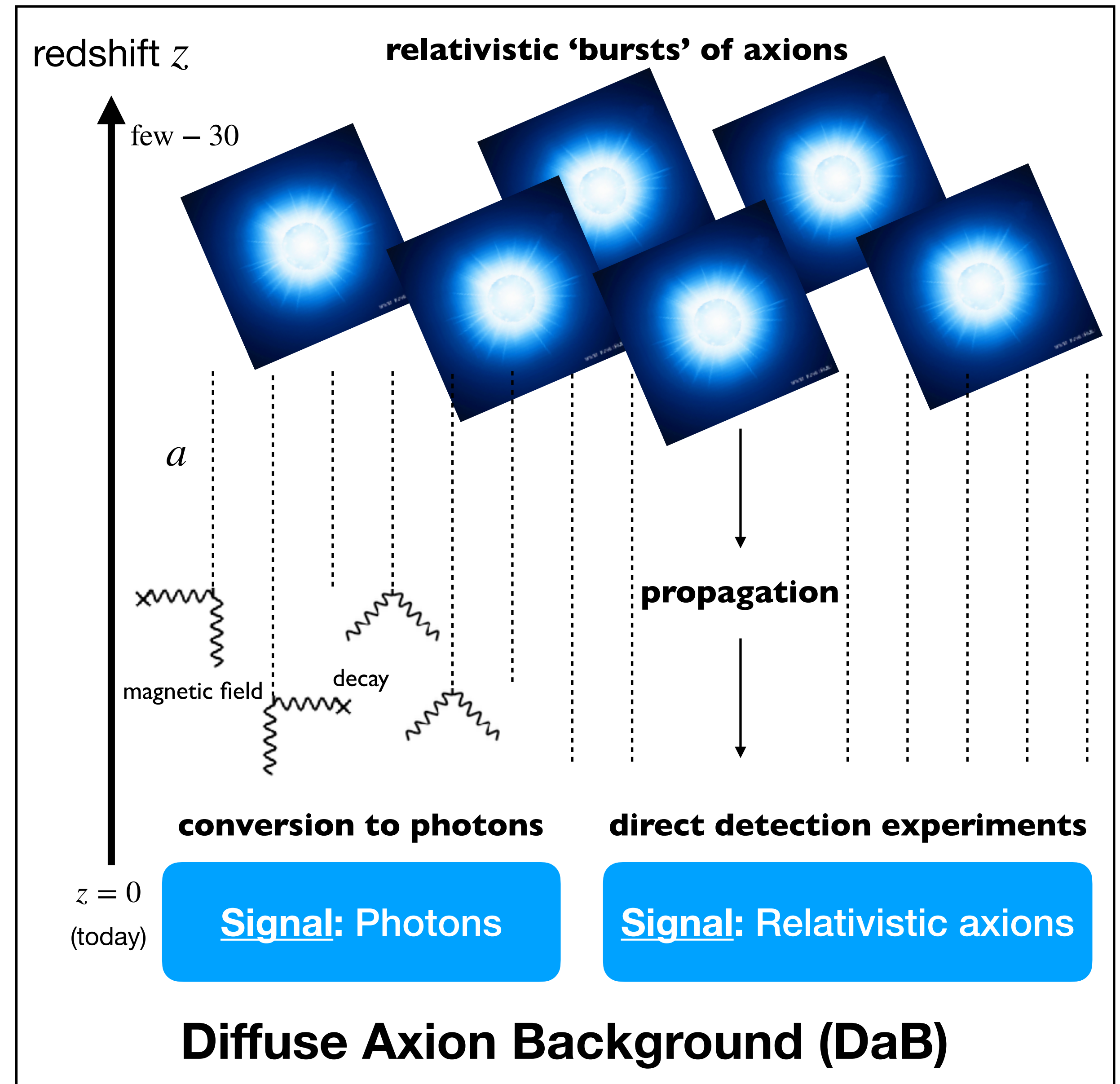
$$\frac{dN_a}{d\omega}(\omega)$$

$$R_{\text{burst}}(z)$$

DaB flux\* in present day

$$\frac{d\phi}{d\omega}(\omega) = \int_0^\infty dz \frac{dN_a(\omega(1+z))}{d\omega} \frac{R_{\text{burst}}(z)}{H(z)}$$

\*note: flux  $\frac{dN_a}{d\omega}$  (# of particles) vs flux  $\frac{d\phi}{d\omega}$  (# per area per time)





# Broad Characterisation of Bursts

1. Dark sector source vs Standard Model source

2. Low energy,  $\omega \gtrsim m_a$  vs High energy,  $\omega \gg \gg m_a$



Bosenova

Credit: Kavli IPMU



Supernova

Credit: Soubrette

3. Transient emission vs Continuous emission



Bosenova

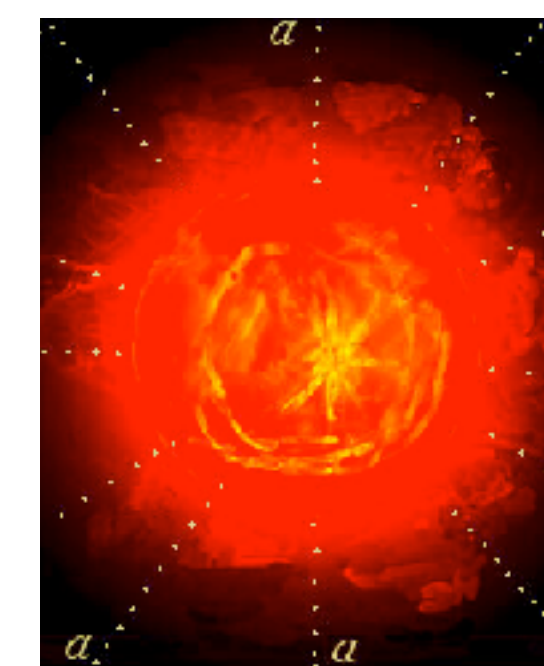


Supernova



PBH decay

Credit: HESS Collaboration



Main Sequence

Credit: Di Luzio et al



# Bursts Abound

**NS polar cap:**  
Prabhu (2104.14569)  
Noordhuis++ (2209.09917, 2307.11811)

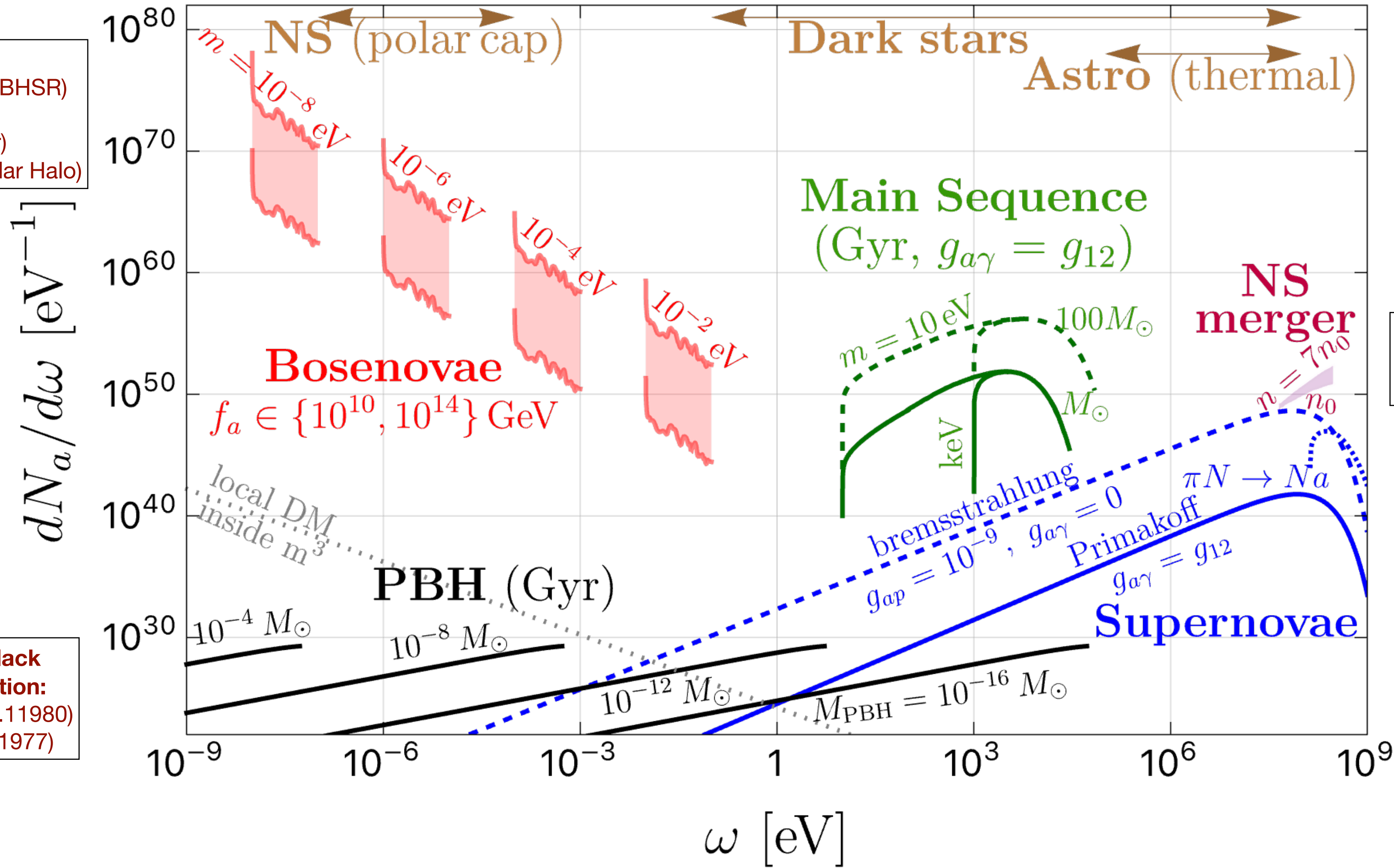
**Dark stars:**  
Maselli++ (1704.07286)  
Curtin, Setford (1909.04072)  
Hippert++ (2103.01965)

**Bosenovae:**  
Yoshino, Kodama (1203.5070) (BHSR)  
Levkov, Panin, Tkachev  
(1609.03611) (Boson Star)  
Budker, **Eby**++ (2306.12477) (Solar Halo)

**Main sequence stars:**  
e.g. Nguyen, Tanin, Kamionkowski  
(2307.11216)

**Neutron star mergers:**  
Harris, Fortin, Sinha, Alford (2003.09768)  
Fiorillo, Iocco (2109.10364)

**Supernovae:**  
Original DaB idea:  
Raffelt, Redondo, Viaux (1110.6397)  
Recent update:  
Carenza++ (1906.11844)  
Calore++ (2008.11741)



**Eby, Takhistov (2402.00100)**

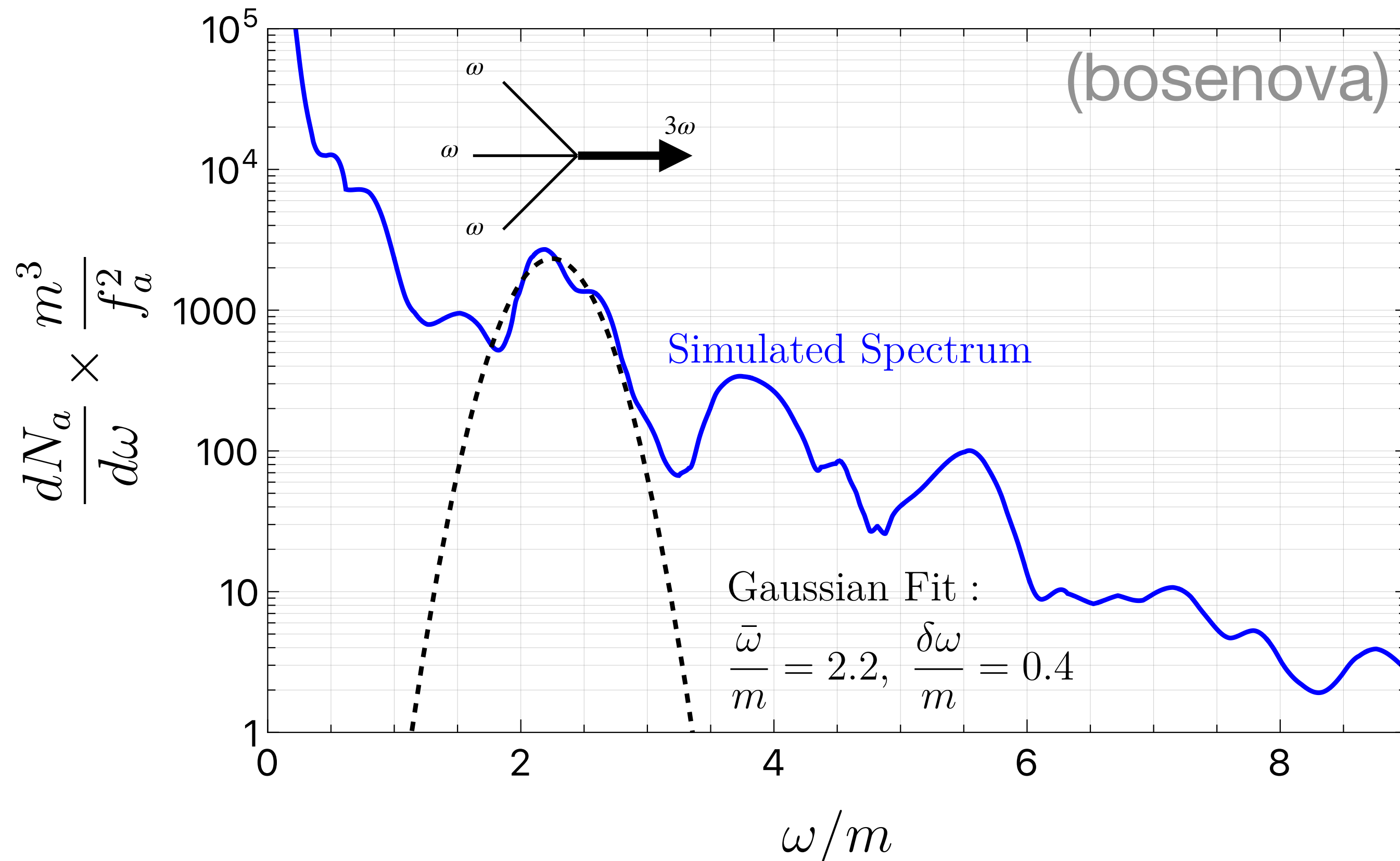
# Parameterization: Flux

$$\frac{dN_a}{d\omega}(\omega) \propto \frac{E_{\text{tot}}}{m_a^2} \frac{\exp\left(-\frac{(\omega - \bar{\omega})^2}{\delta\omega^2}\right)}{\delta\omega/m_a}$$

$E_{\text{tot}}$ : total energy emitted  
in single burst

$\bar{\omega}$ : peak energy

$\delta\omega$ : energy width



- easily captures peaked distribution
- computationally simple
- sum of Gaussians can be used for asymmetric distributions, e.g. power-law

# Parameterization: Rate

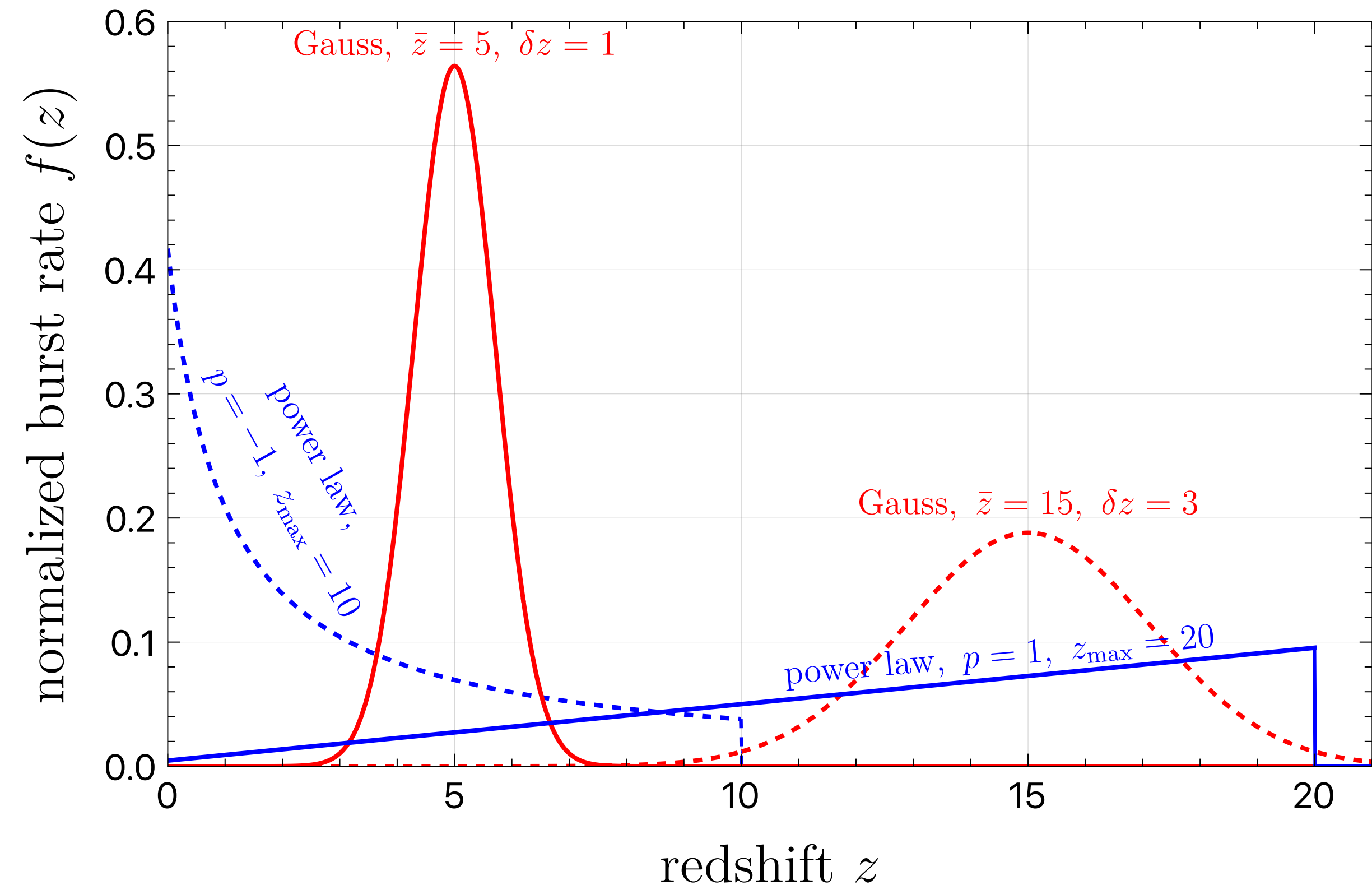
$$f(z) = (1 + z)^p \Theta(z - z_{\max}) \text{ for power-law} \quad \longleftarrow R_{\text{burst}}(z) \propto \frac{\rho_{\text{loss}} H_0}{E_{\text{tot}}(z)} f(z)$$

$$f(z) = \exp\left(-\frac{(z - \bar{z})^2}{\delta z^2}\right) \text{ for Gaussian}$$

$\rho_{\text{loss}}$ : total relativistic energy  
density emitted across all  $z$

Convenient normalisation:

$$\rho_{\text{loss}} \equiv \mathcal{F} \bar{\rho}_U \quad \text{with } \bar{\rho}_U \simeq 10^{-6} \text{ GeV/cm}^3$$



# Parameterization: DaB

$$\frac{dN_a}{d\omega}(\omega) \propto \frac{E_{\text{tot}}}{m_a^2} \frac{\exp\left(-\frac{(\omega - \bar{\omega})^2}{\delta\omega^2}\right)}{\delta\omega/m_a}$$

$$R_{\text{burst}}(z) \propto \frac{\mathcal{F} \bar{\rho}_U H_0}{E_{\text{tot}}} f(z)$$

$\mathcal{F}$  : total DM fraction converted to DaB

$f(z)$  : dimensionless rate of bursts

$\bar{\omega}$  : peak burst energy per particle

$\delta\omega$  : spread in burst energy per particle

$E_{\text{tot}}$  : energy emitted per burst

DaB flux in present day

$$\frac{d\phi}{d\omega}(\omega) = \int_0^\infty dz \frac{dN_a(\omega(1+z))}{d\omega} \frac{R_{\text{burst}}(z)}{H(z)}$$

## input parameters

particle physics

$$m_a, f_a, g_{a\gamma}, \dots$$

burst parameterisation

$$\mathcal{F}, f(z), \bar{\omega}, \delta\omega, E_{\text{tot}}$$

cancels in product

(cosmology)    (individual bursts)

**How to search for DaB:** (1) direct detection, (2) photon signals, [more to come]



# DaB Flux vs DM Flux

Locally,  $\left(\frac{d\phi}{d\omega}\right)_{\text{local DM}} \simeq \frac{n_a v_{\text{dm}}}{m_a} \simeq \frac{\rho_{\text{dm}}}{m_a^2} v_{\text{dm}}$

DaB flux in present day

$$\frac{d\phi}{d\omega}(\omega) = \int_0^\infty dz \frac{dN_a(\omega(1+z))}{d\omega} \frac{R_{\text{burst}}(z)}{H(z)}$$

Parameterise flux and rate

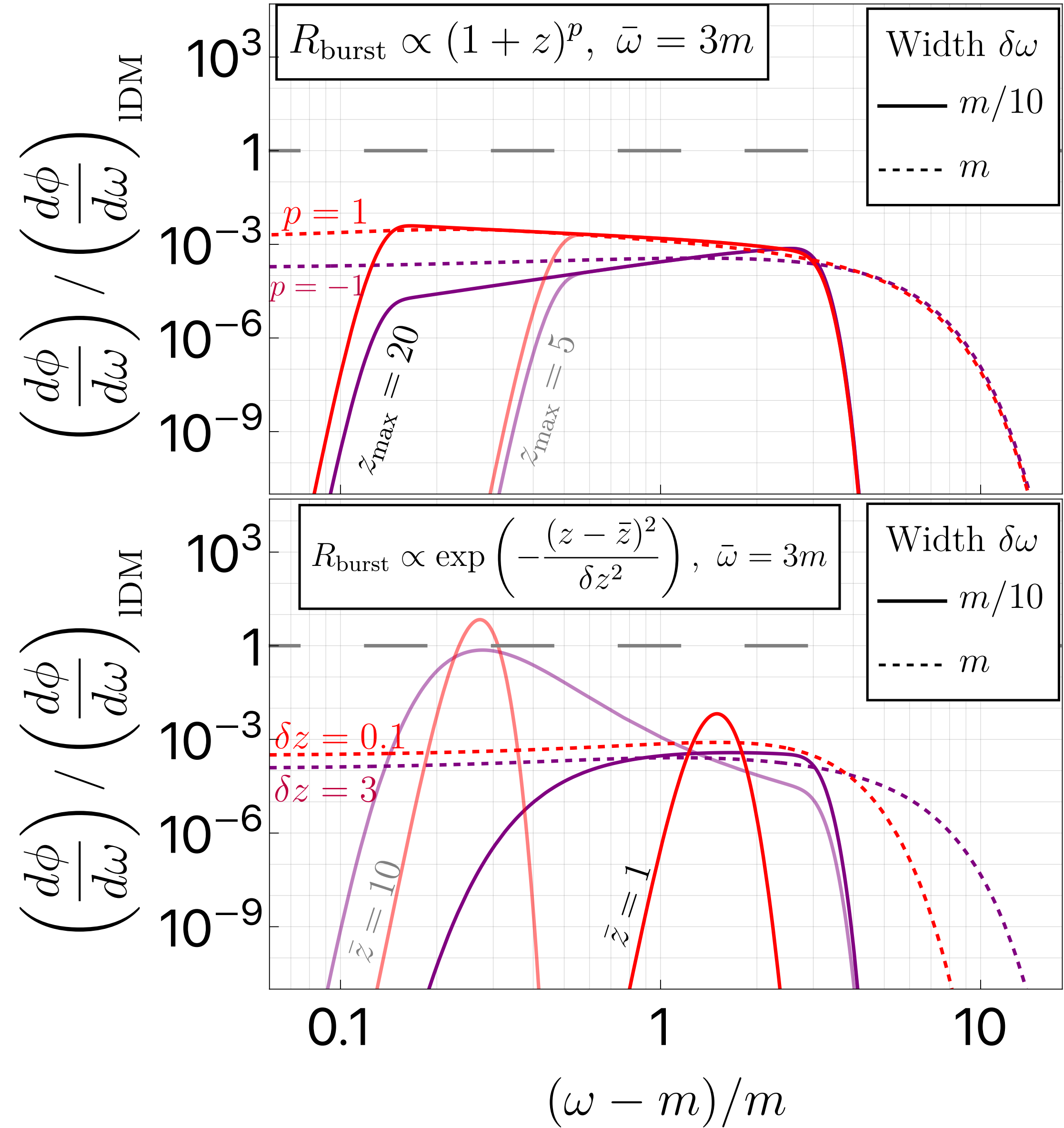
$$\sim \frac{\mathcal{F} \bar{\rho}_U}{m_a \delta\omega} \int dz f(z) \frac{H_0}{H(z)} \exp \left[ - \left( \frac{(\omega(1+z) - \bar{\omega})}{\delta\omega} \right)^2 \right]$$

narrow:  $\frac{\delta\omega}{\omega} \rightarrow 0$   
recent:  $z \sim 0$

$$\sim \frac{\mathcal{F} \bar{\rho}_U}{\bar{\omega}^2}$$

$$\frac{d\phi/d\omega}{(d\phi/d\omega)_{\text{IDM}}} \simeq \left( \frac{1}{v_{\text{dm}}} \right) \left( \frac{m_a}{\bar{\omega}} \right)^2 \left( \frac{\mathcal{F} \bar{\rho}_U}{\rho_{\text{dm}}} \right) \simeq 3 \cdot 10^{-3} \mathcal{F} \left( \frac{m_a}{\bar{\omega}} \right)^2$$

↑ (large)     ↓ (small)     ↓ (small)





# Direct Detection

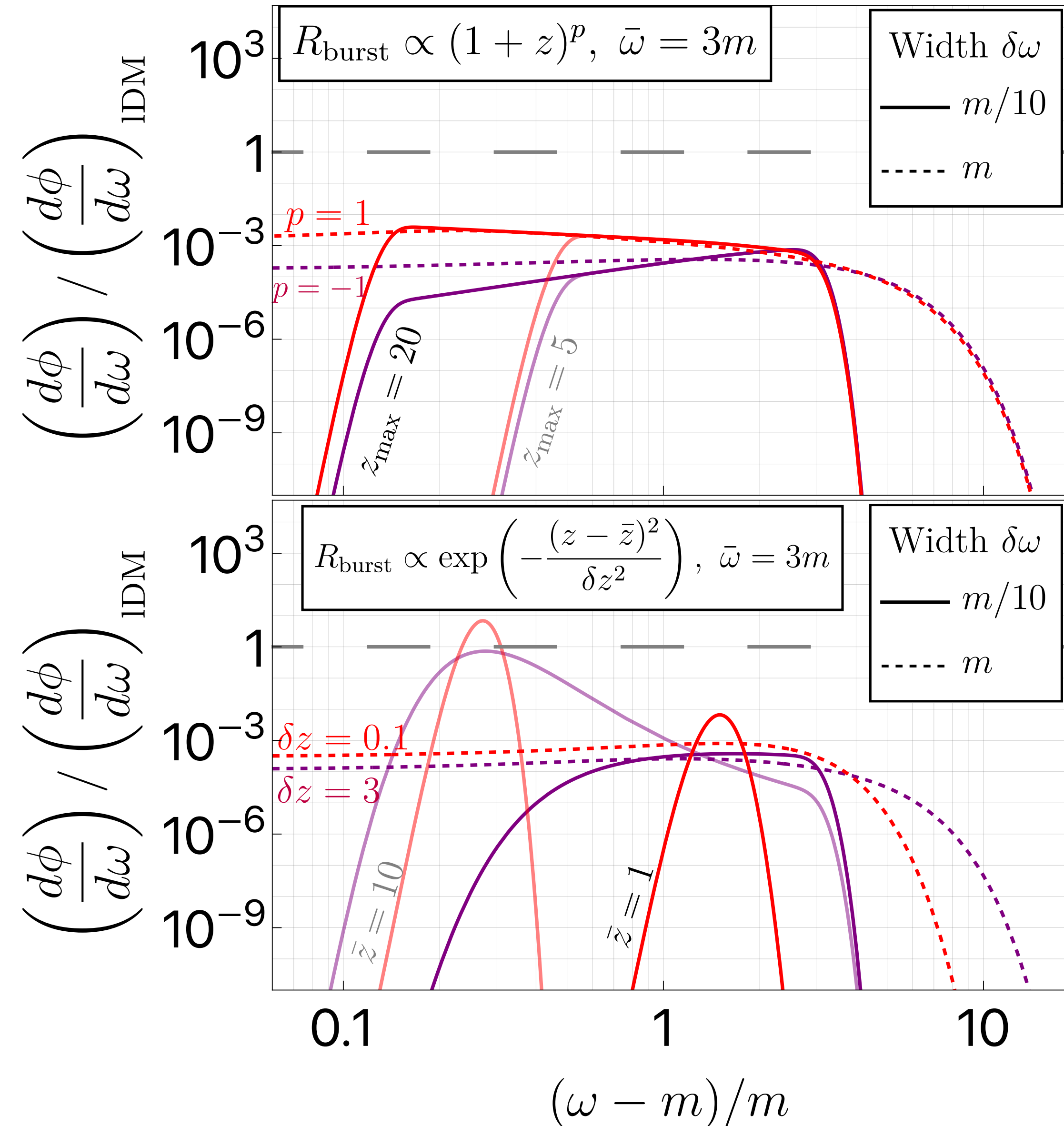
## Likely challenging!

- DaB flux generally  $\lesssim$  local DM flux
- Signal likely much less coherent than local DM

$$\tau_{\text{coh}} \simeq \frac{2\pi}{m_a v^2}, \quad v_{\text{dm}} \sim 10^{-3} \text{ vs } v_{\text{DaB}} \sim 1$$

## Worth investigating!

- Nontrivial energy distribution encodes cosmological evolution and source properties
- Can also encode information about fundamental axion potential, e.g. self-interactions



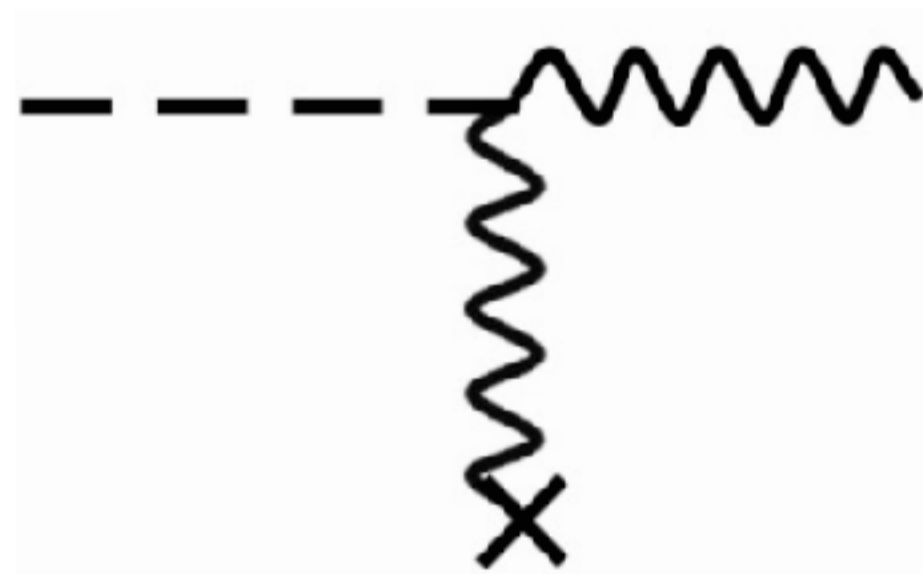


# Photon Signals from DaB

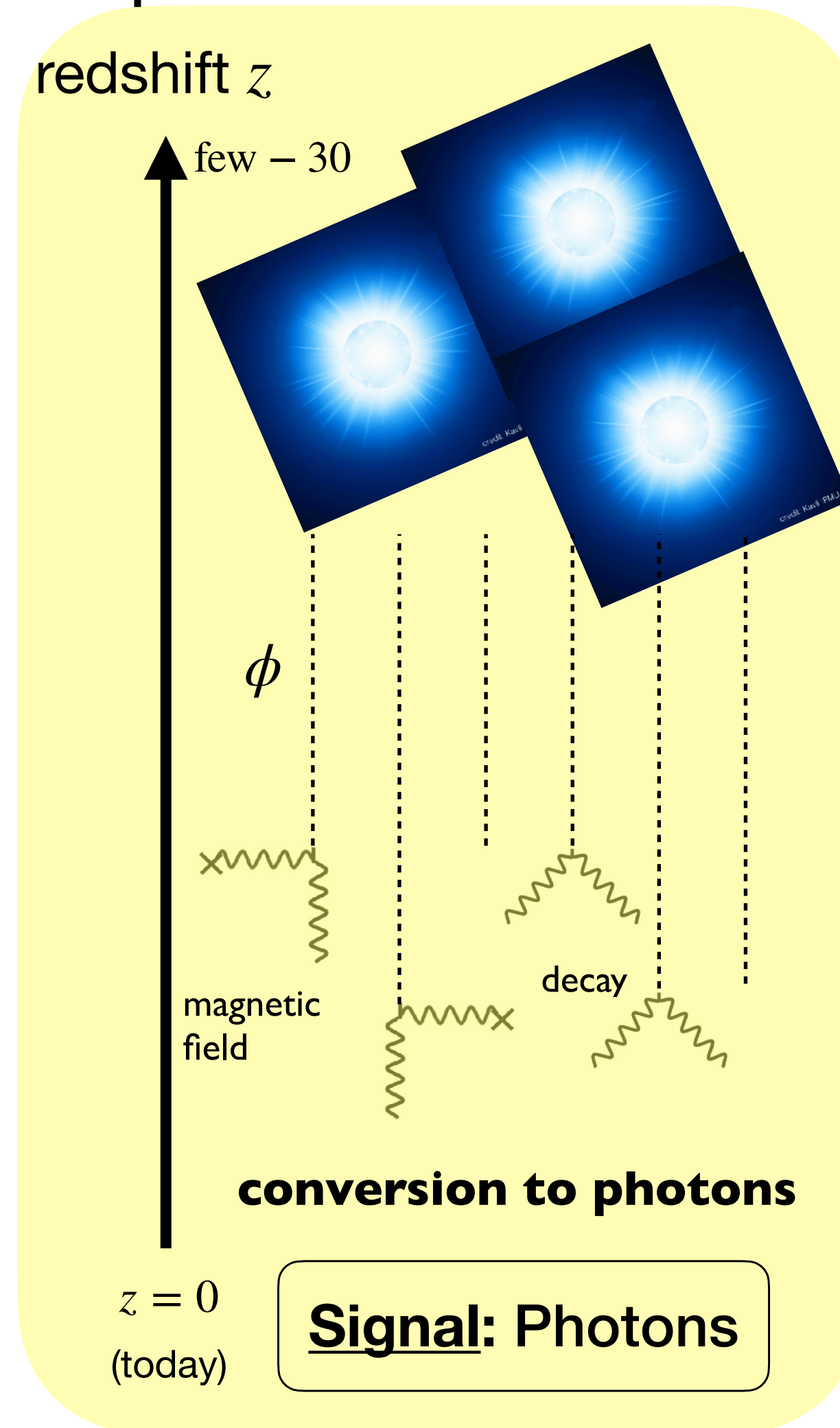
$$\mathcal{L} \supset \frac{1}{4} g_{a\gamma} a F_{\mu\nu} \tilde{F}^{\mu\nu} = g_{a\gamma} a \mathbf{E} \cdot \mathbf{B}$$

## Magnetic field conversion

$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{B\text{-field}} = P_{\gamma \rightarrow a} \frac{d\phi}{d\omega}$$

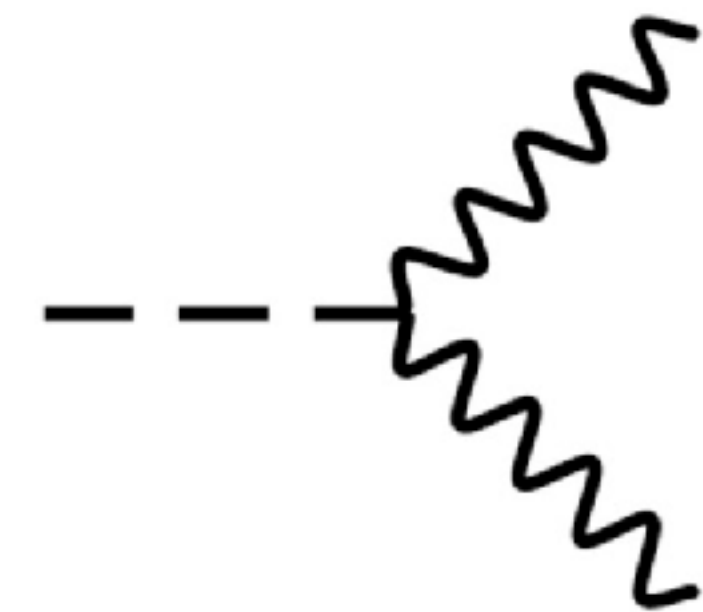


- Galactic magnetic fields of  $\sim \mu\text{G}$  dominate (typical distances  $\sim \text{kpc} - \text{Mpc}$ )
- $P_{\gamma \rightarrow a}$  grows with large  $\omega$  and small  $m_a$   
 $\Rightarrow$  largest when  $\omega \gg m_a$  with small  $m_a$



## Axion decay to photons

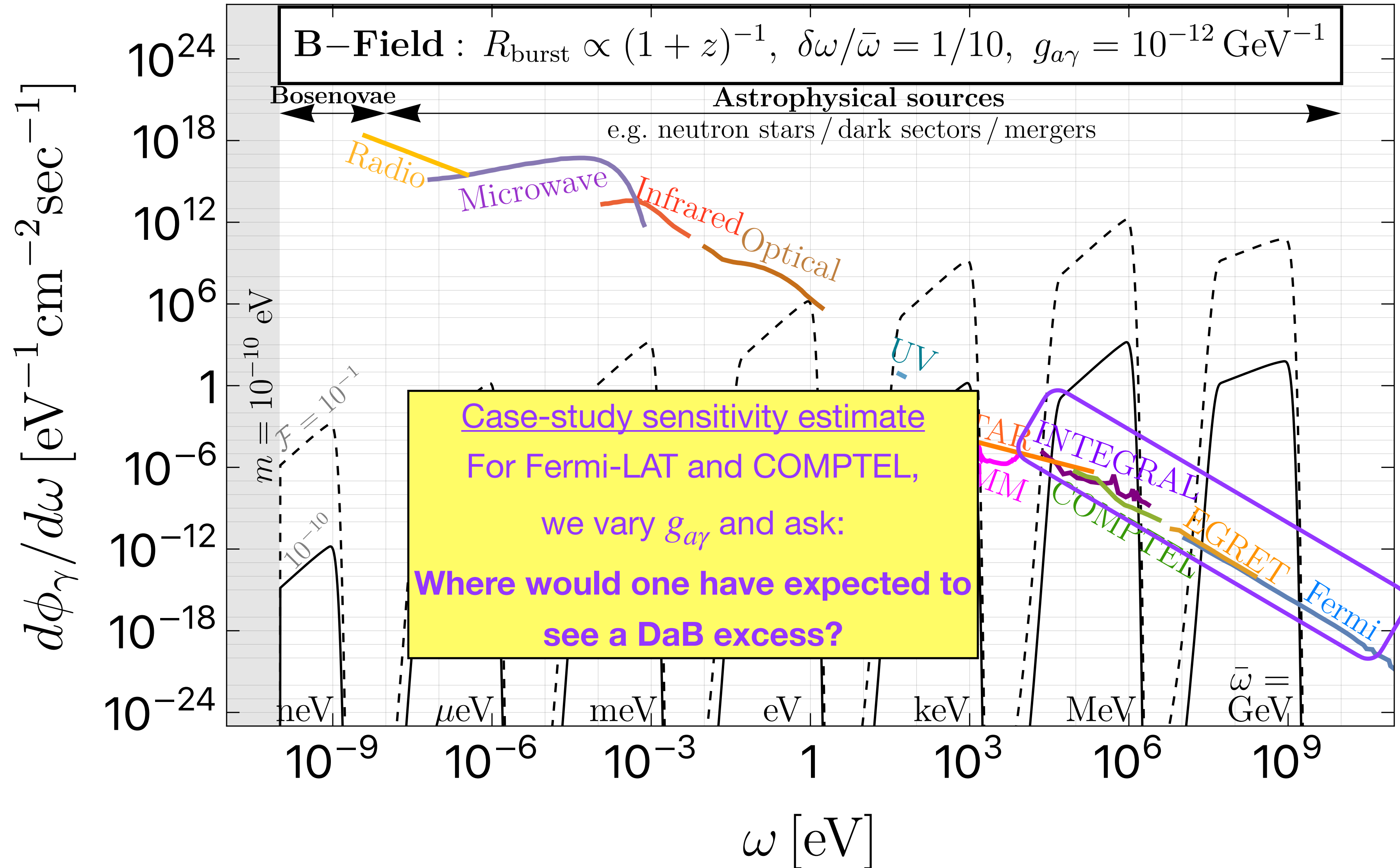
$$\left. \frac{d\phi_\gamma}{d\omega} \right|_{\text{decay}} \simeq P_{\text{decay}} \frac{d\phi}{d\omega}$$



- Decay can occur anywhere in space (typical distances  $\sim \text{Gpc}$ )
- $P_{\text{decay}}$  grows with small  $\omega$  and large  $m_a$   
 $\Rightarrow$  largest when  $\omega \gtrsim m_a$  with large  $m_a$



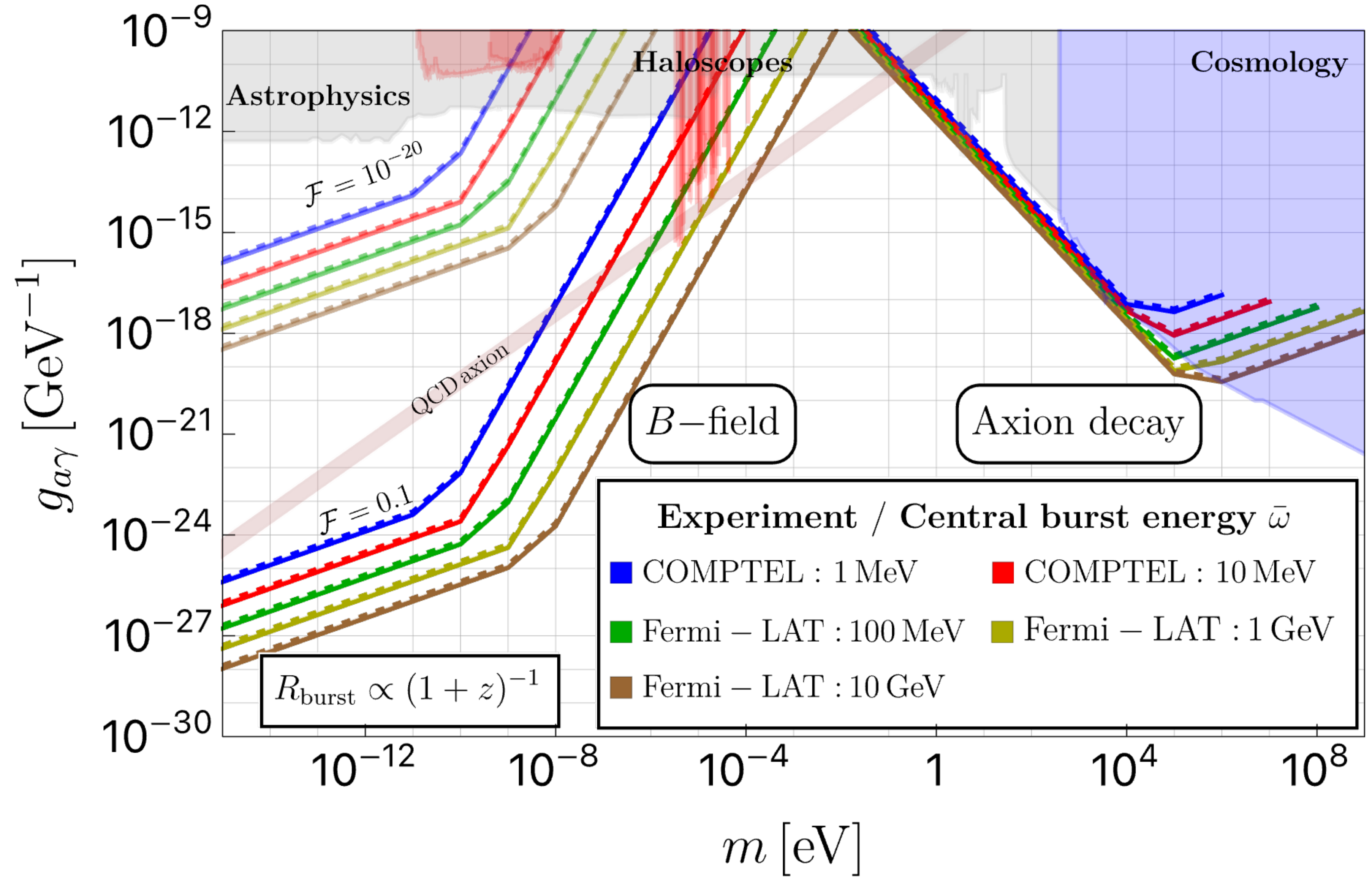
# Where to Search: Today



As was done in  
Calore++ (2008.11741)



# Searches for DaB Gamma-Rays



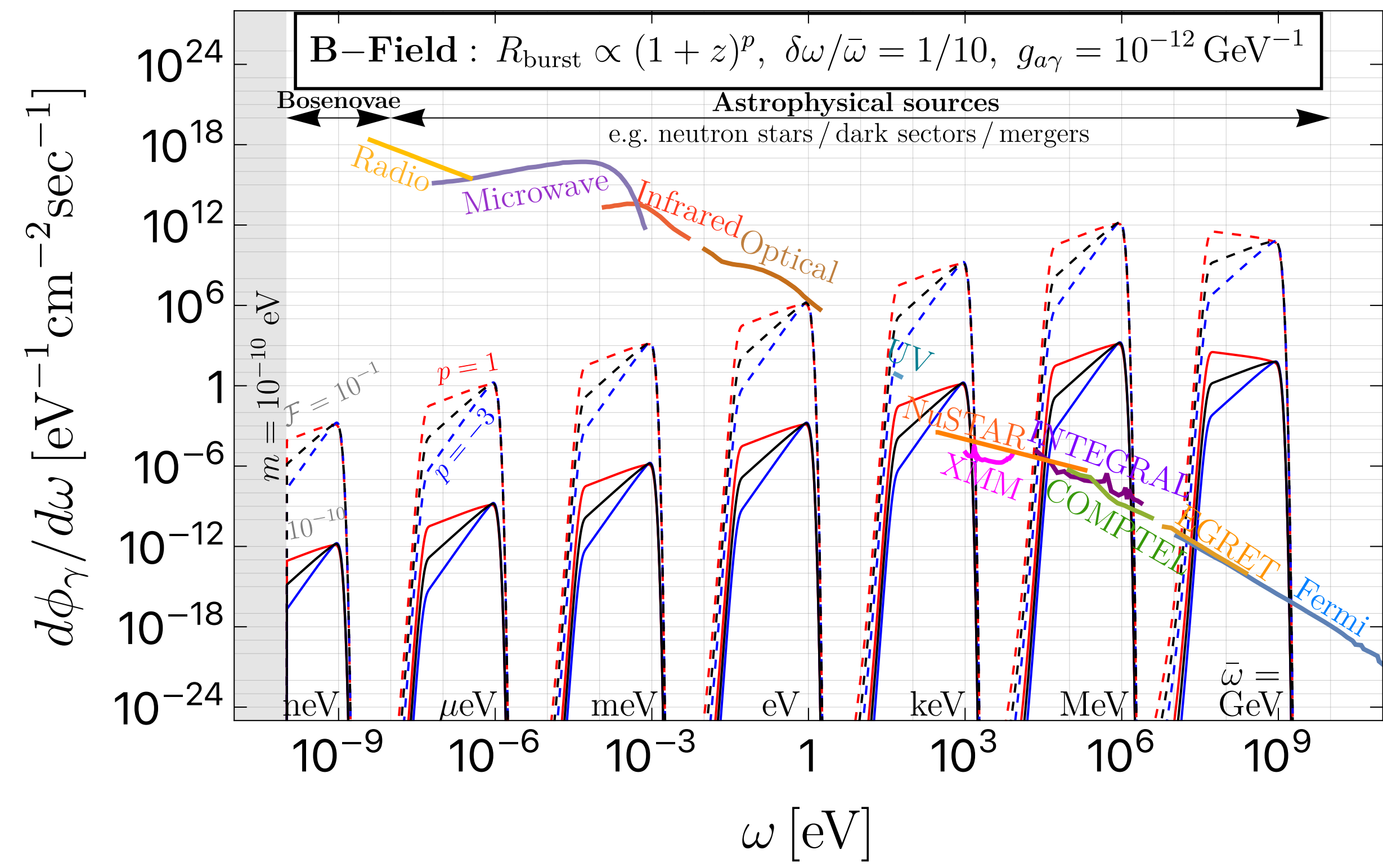
A very tiny energy fraction in DaB can give rise to striking signals!

Best sensitivity when  $\bar{\omega} \gg m_a$

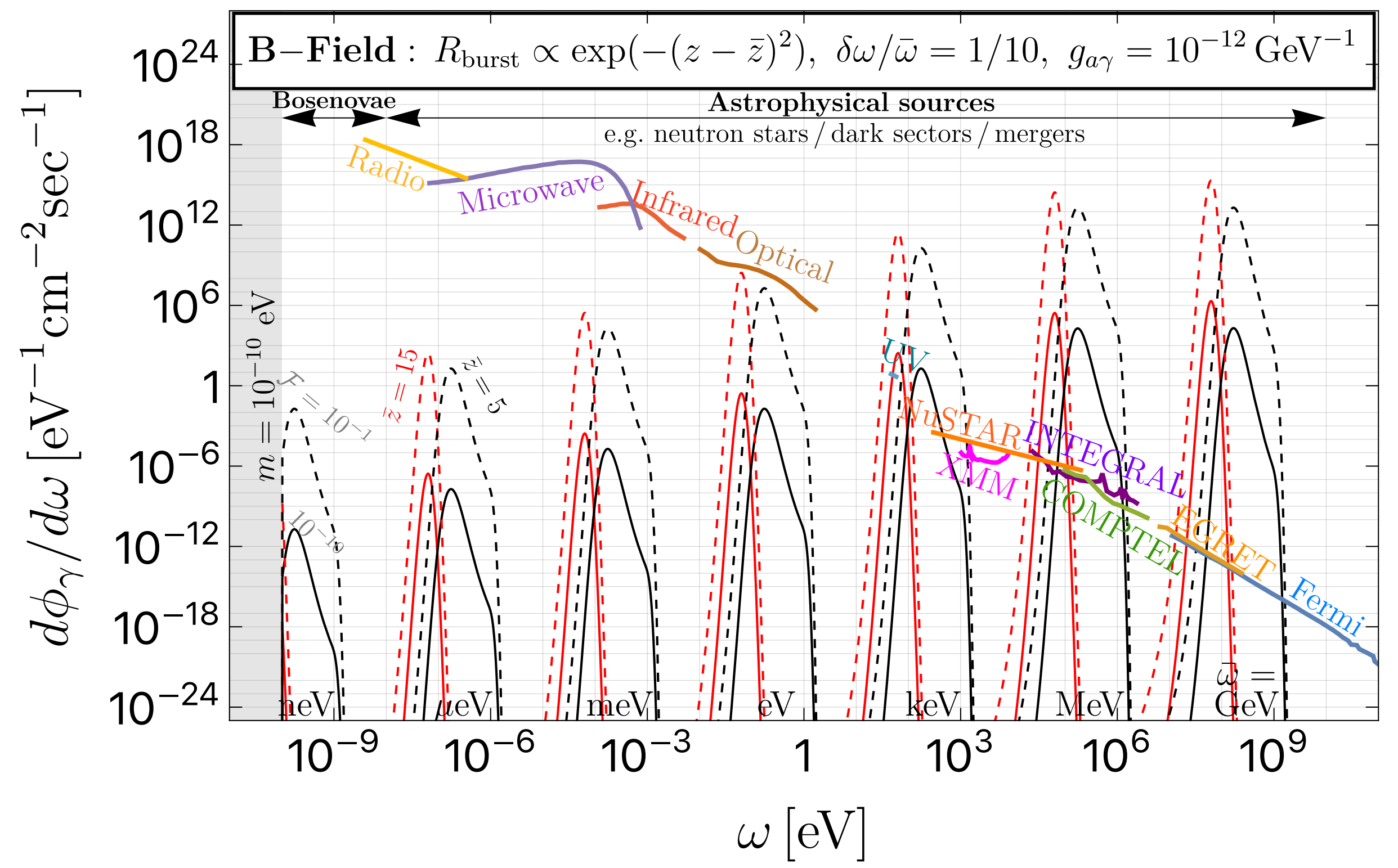


# DaB Flux: Other Rates $f(z)$

## Power law

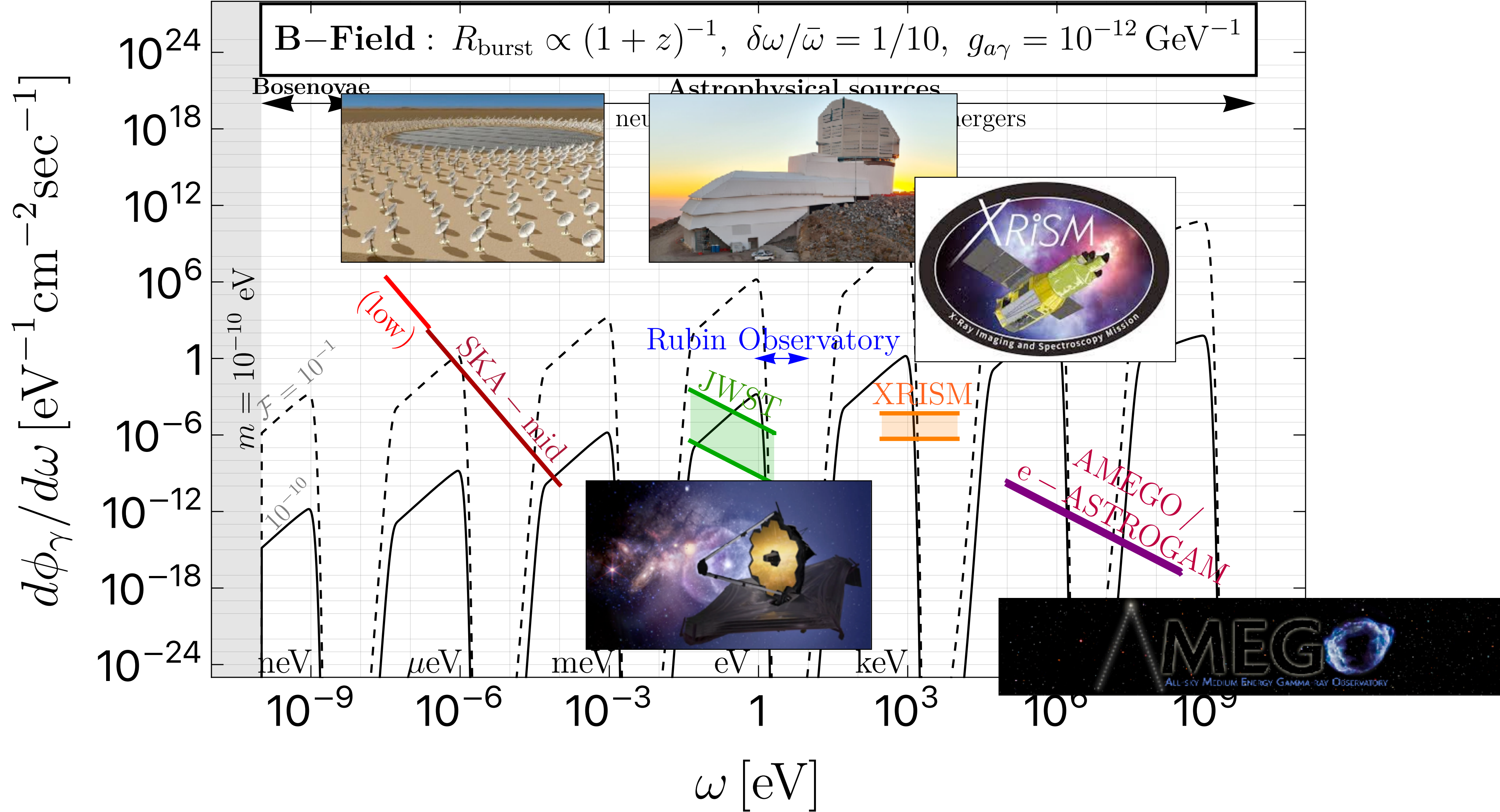


## Gaussian



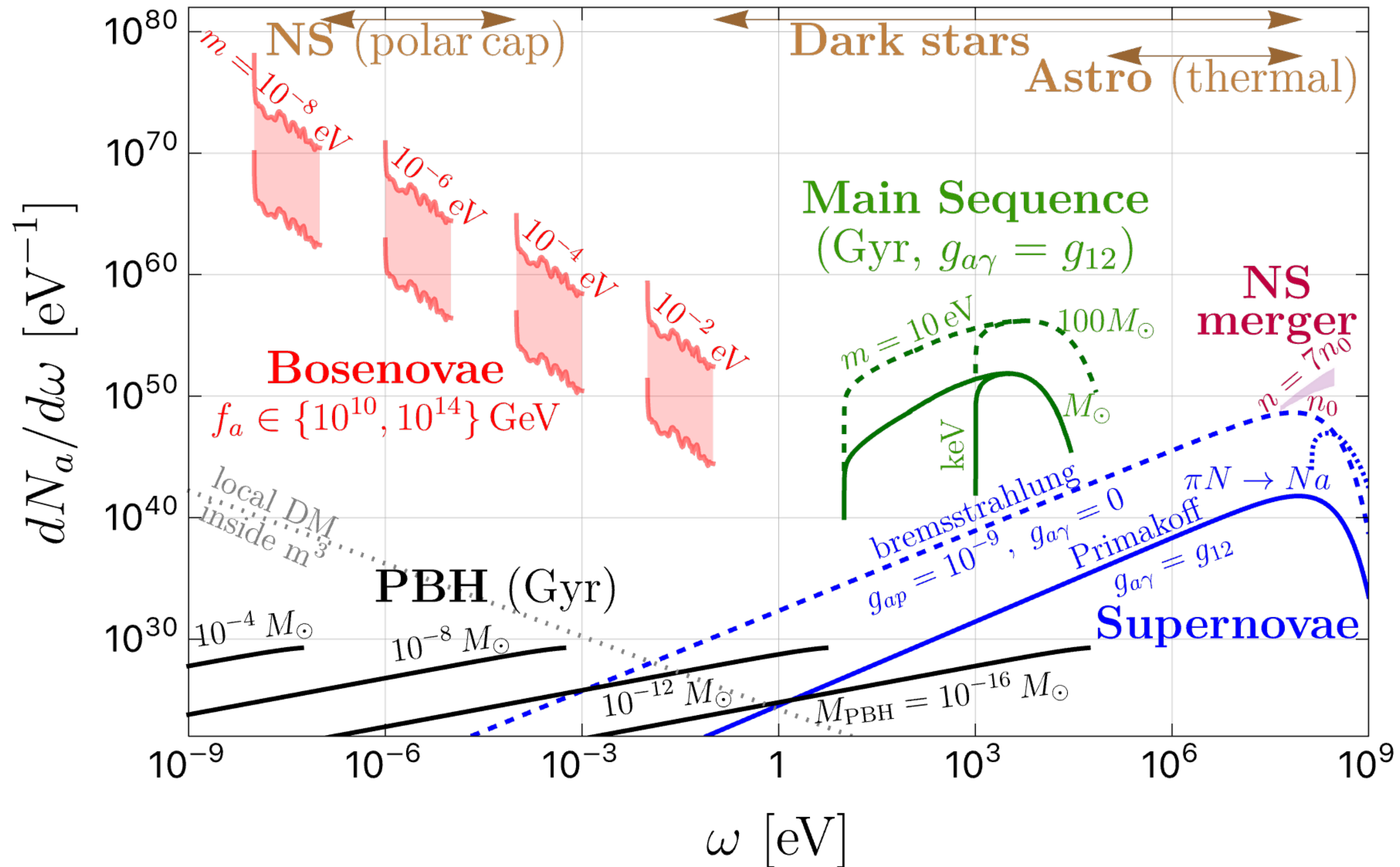


# Future Searches





# Thank you for your attention!





# Backup Slides





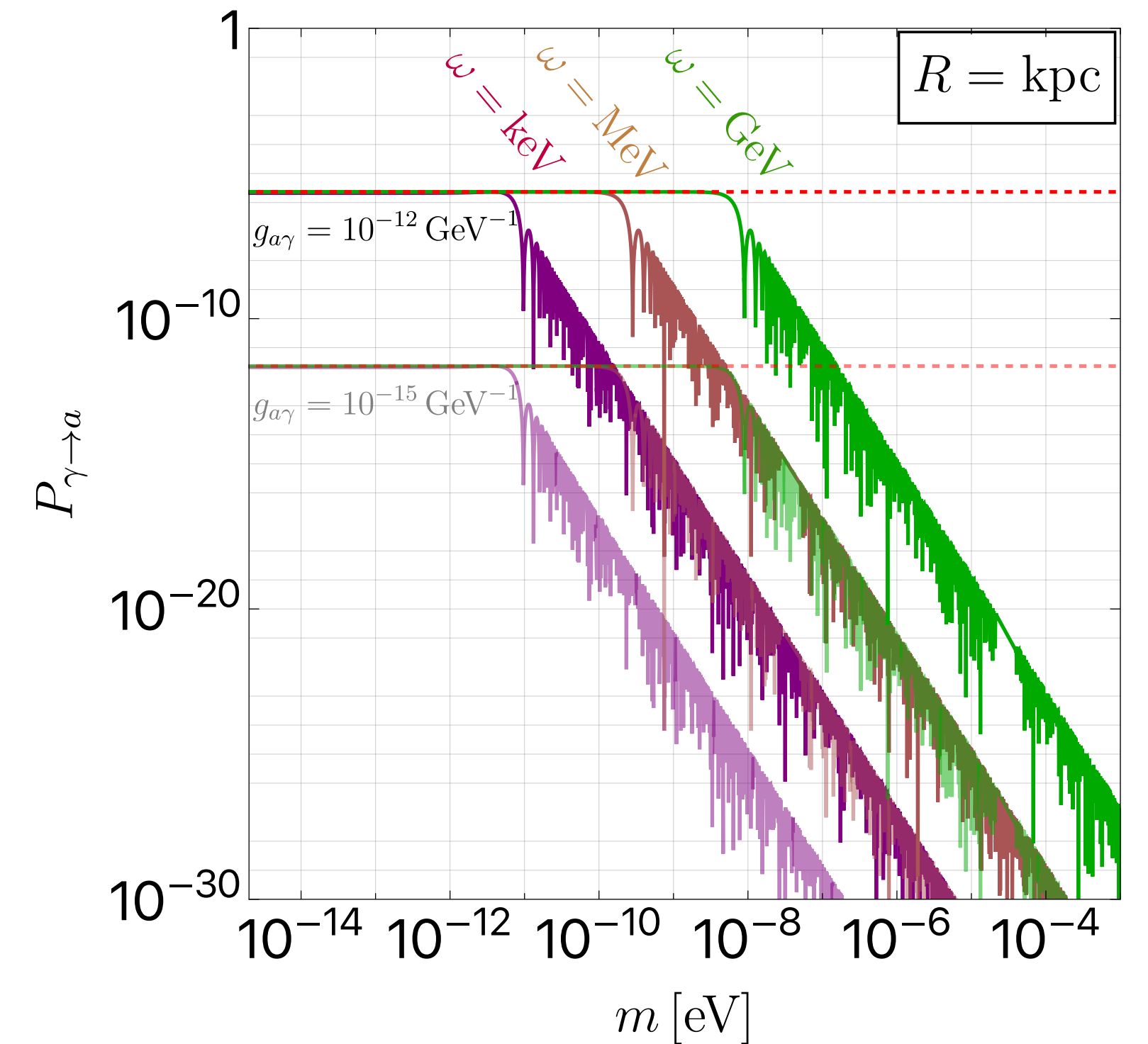
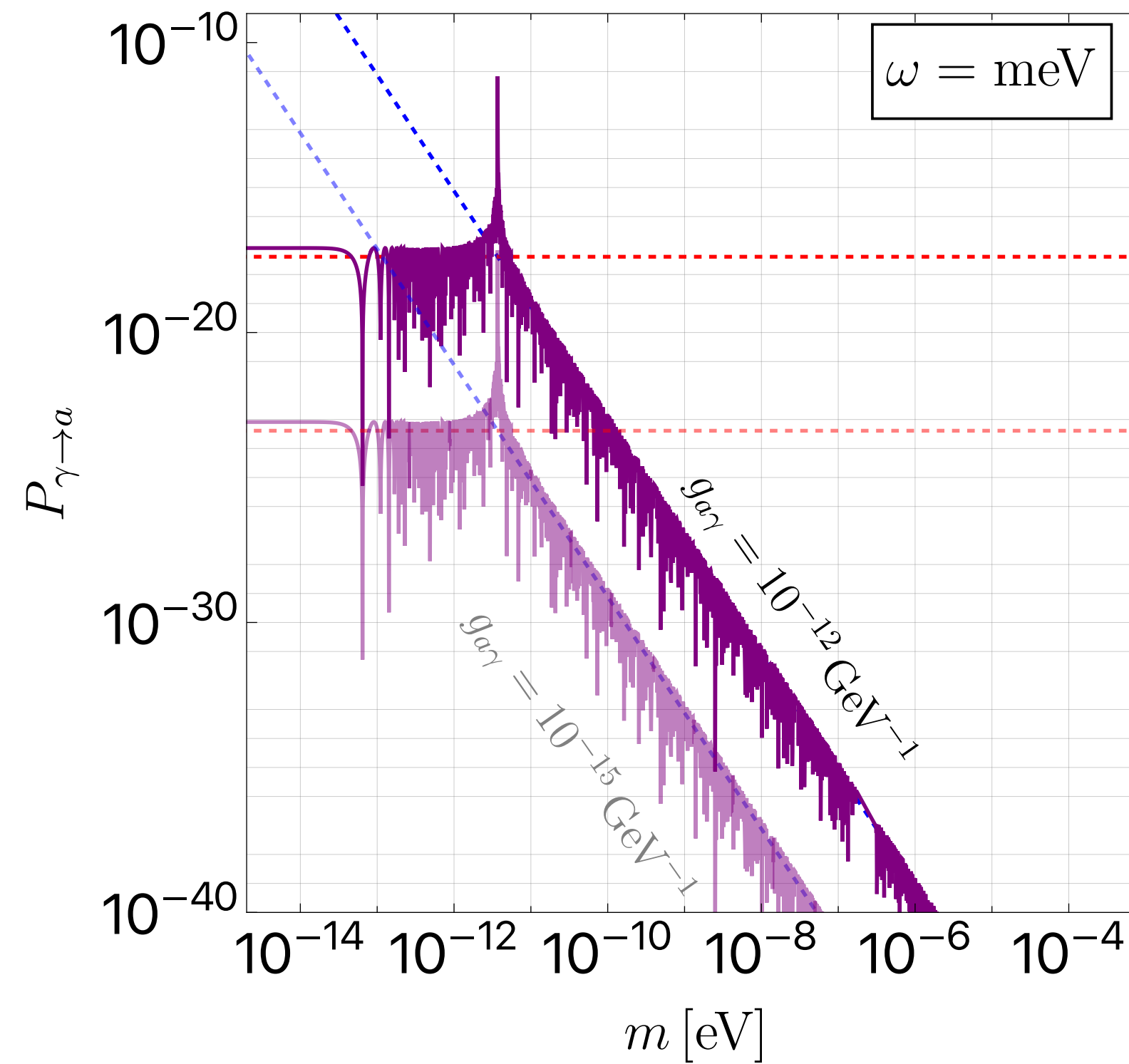
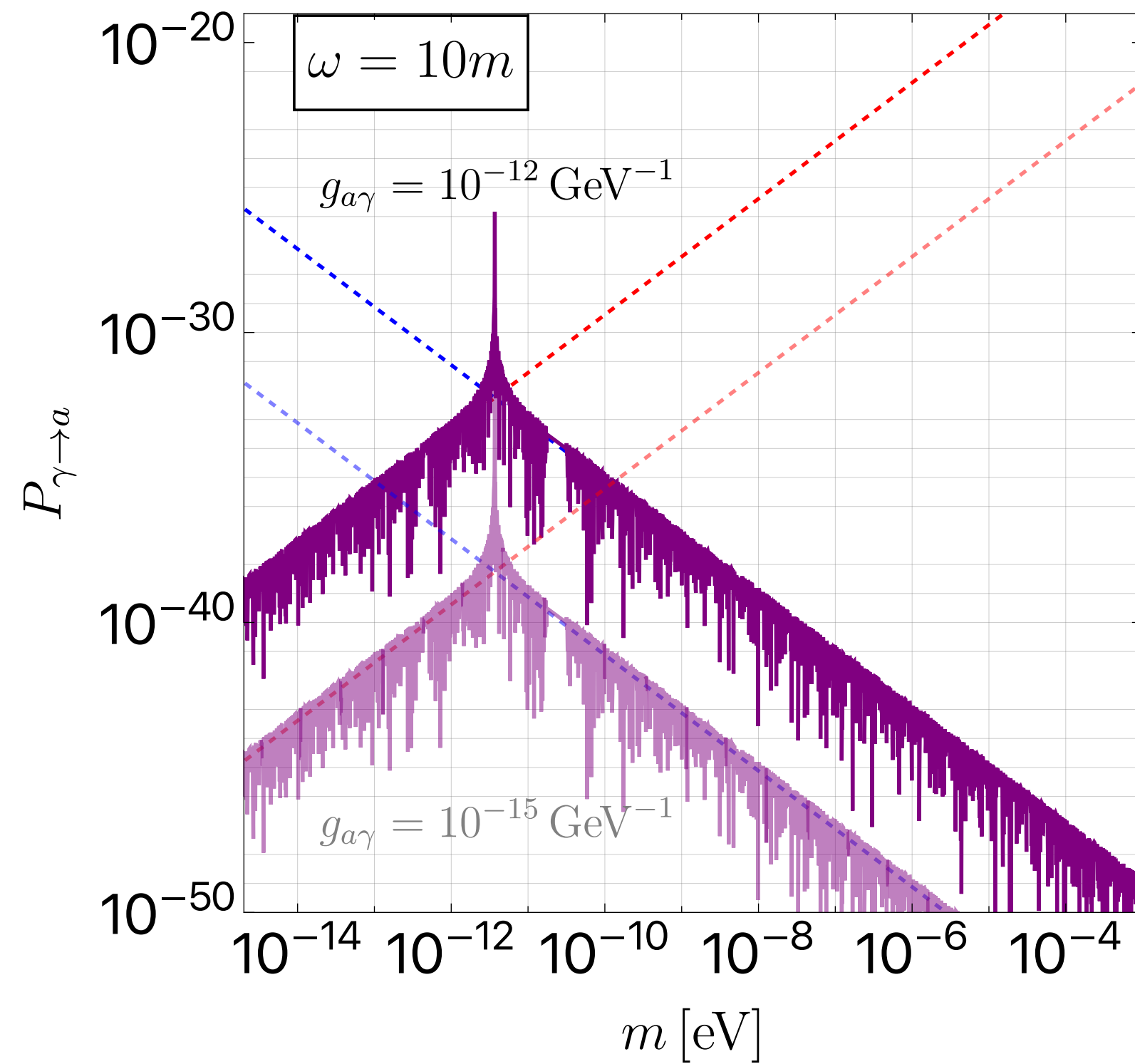
# B-Field Conversion Probability

$$P_{\gamma \rightarrow a} = (\Delta_{a\gamma} R)^2 \frac{\sin^2(\Delta_{\text{osc}} R/2)}{(\Delta_{\text{osc}} R/2)^2}$$

$$\Delta_{a\gamma} \equiv \frac{g_{a\gamma} B_T}{2} \simeq 1.5 \cdot 10^{-4} \left( \frac{g_{a\gamma}}{10^{-12} \text{ GeV}^{-1}} \right) \left( \frac{B_T}{\mu\text{G}} \right) \text{ kpc}^{-1},$$

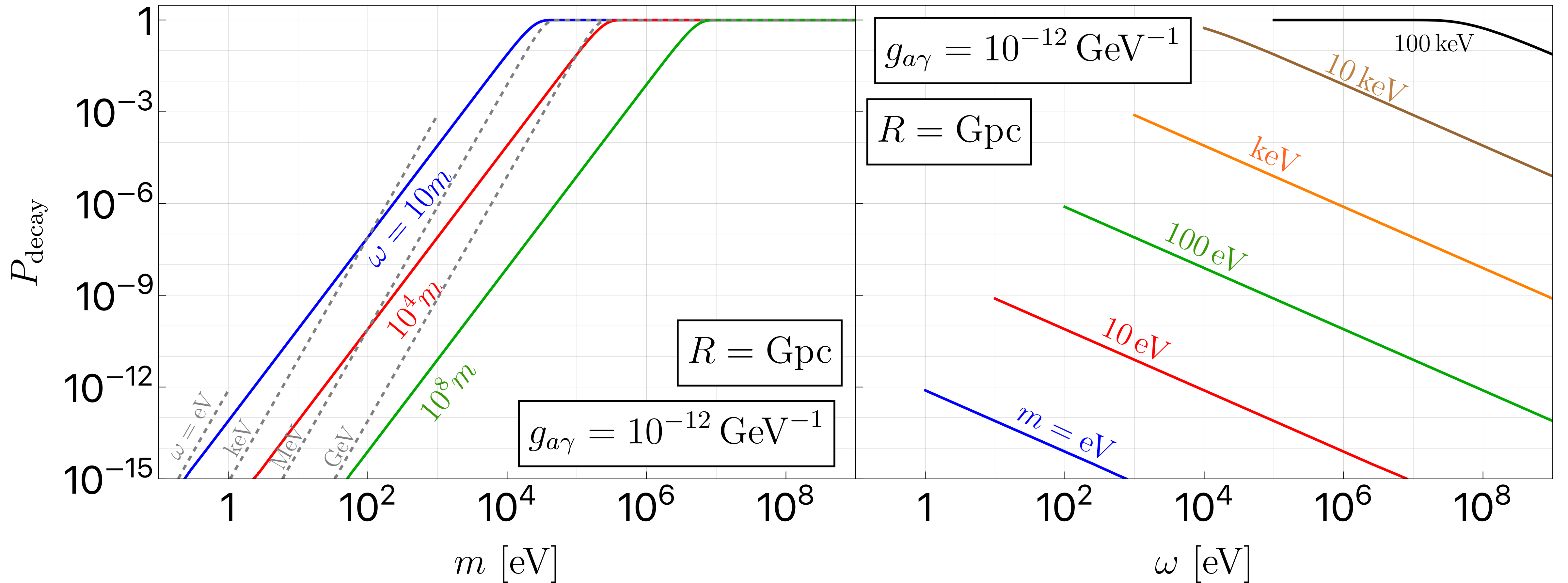
$$\Delta_a \equiv -\frac{m^2}{2\omega} \simeq -7.8 \cdot 10^{13} \left( \frac{m}{10^{-11} \text{ eV}} \right)^2 \left( \frac{10^{-10} \text{ eV}}{\omega} \right) \text{ kpc}^{-1},$$

$$\Delta_{\text{pl}} \equiv -\frac{\omega_{\text{pl}}^2}{2\omega} \simeq -1.1 \cdot 10^{13} \left( \frac{n_e}{10^{-2} \text{ cm}^{-3}} \right) \left( \frac{10^{-10} \text{ eV}}{\omega} \right) \text{ kpc}^{-1},$$



# Decay Probability

$$l(\omega) \simeq \frac{\gamma v_{\text{burst}}}{\Gamma_{\gamma\gamma}} \simeq \left(\frac{\omega}{m}\right) \frac{64\pi}{g_{a\gamma}^2 m^3} \simeq \text{Mpc} \left(\frac{\omega}{\text{MeV}}\right) \left(\frac{100 \text{ keV}}{m}\right)^4 \left(\frac{10^{-12} \text{ GeV}^{-1}}{g_{a\gamma}}\right)^2$$





# DaB Flux from Decay

