



Electron analysis – HERD beam test SPS2023

Pietro Betti

“We should discuss later”

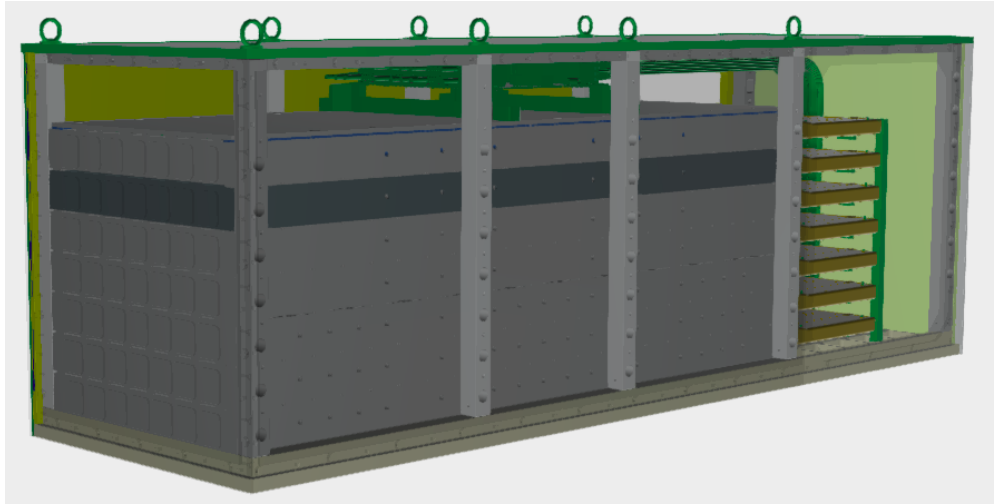
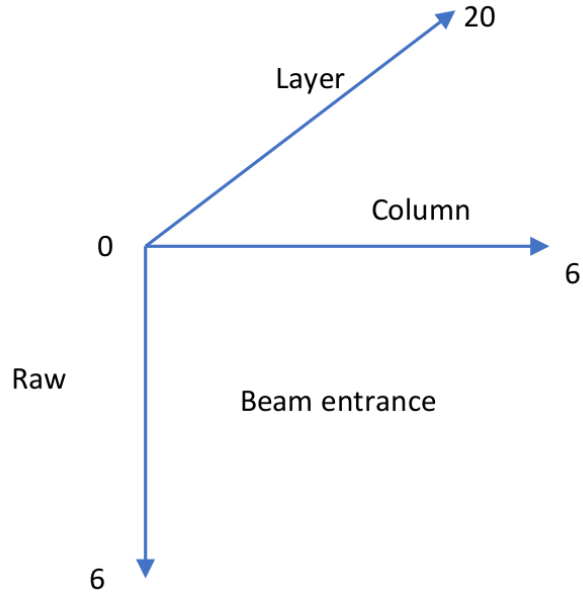
“We should publish soon”



Analyzed files

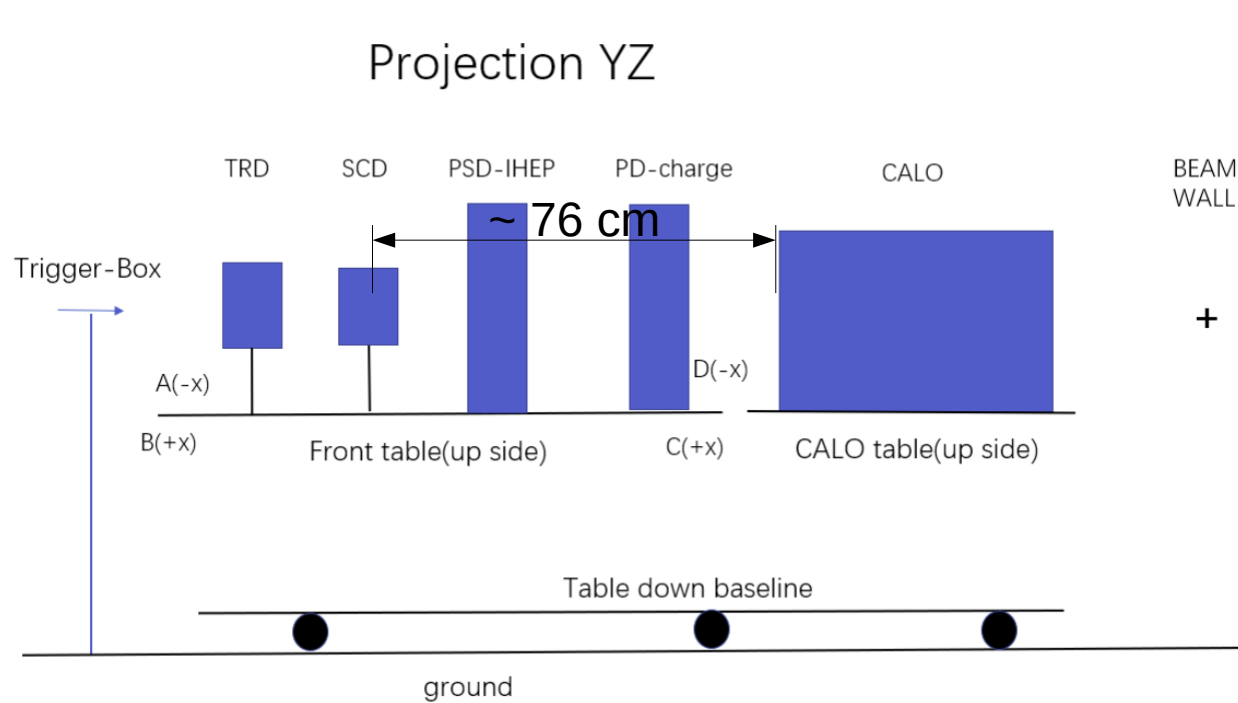
- 250 GeV: run 302
- 200 GeV: run 305, 310, 311 (noise run 311)
- 150 GeV: run 303
- 100 GeV: run 312
- 50 GeV: run 304
- 20 GeV: run 313

Beam Test Geometry - Calorimeter



- LYSO density $\sim 7,1 \text{ g/cm}^3$
- Carbon fiber density $\sim 1.65 \text{ g/cm}^3$

Beam Test Geometry – all detectors

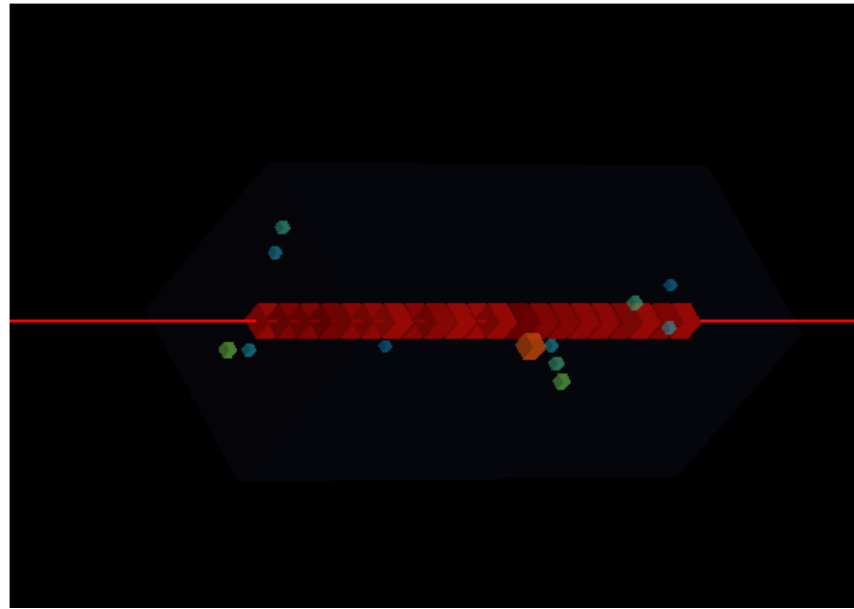


Calorimeter Calibration with muons



Calorimeter Calibration

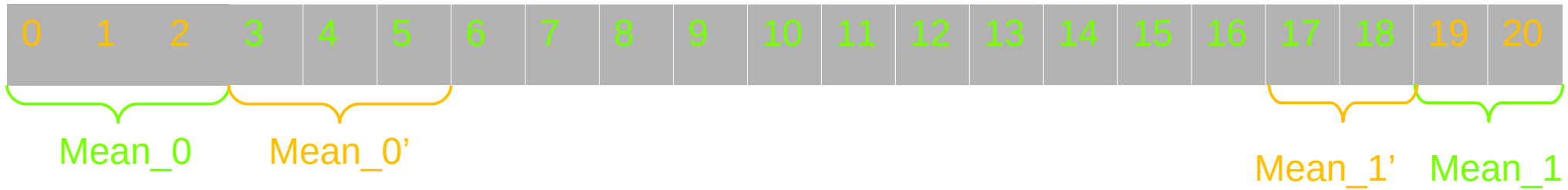
- 5 GeV muons scan at PS
- Only 3x3 CALO core is considered



Event selection

- Select events with threshold on total energy release
 - Event in Cube 3-18 if **Mean_0** and **Mean_1** above thresholds
 - Event in Cube 0-2 and 19-20 if **Mean_0'** and **Mean_1'** above thresholds

Beam →

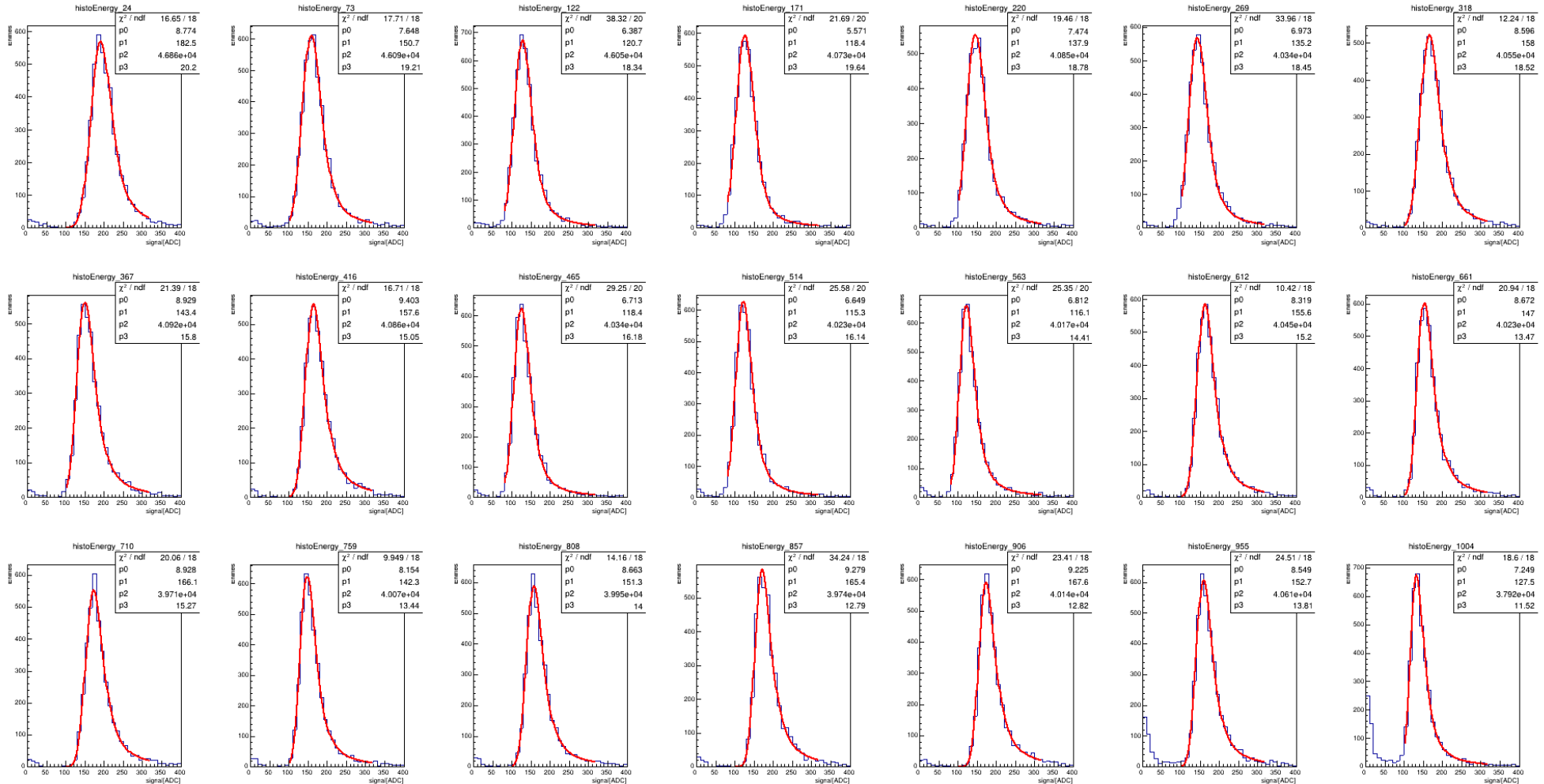


- Fit of Landau convolute with Gaussian on muons MIP histograms



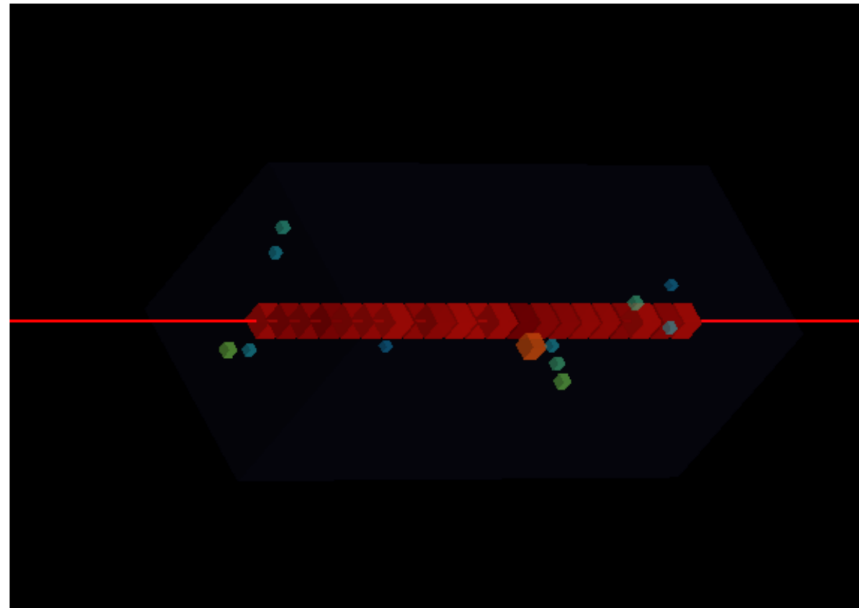
LanGau Fit on MIP real data

- Fit of Landau convolute with Gaussian on muons MIP histograms



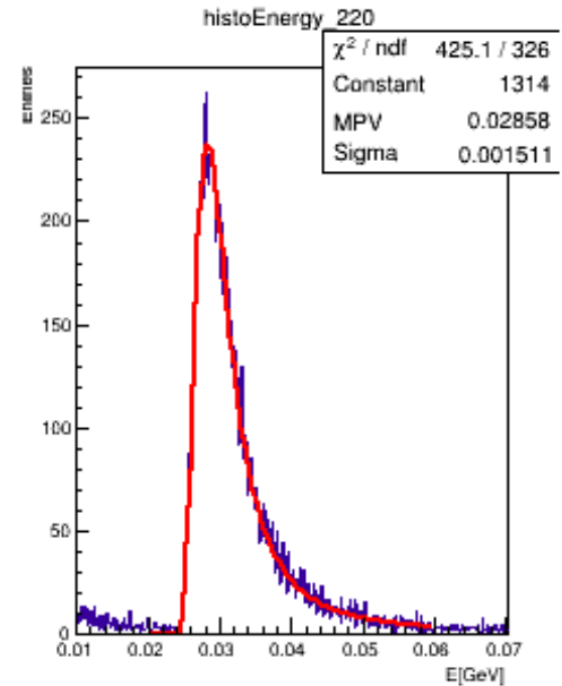
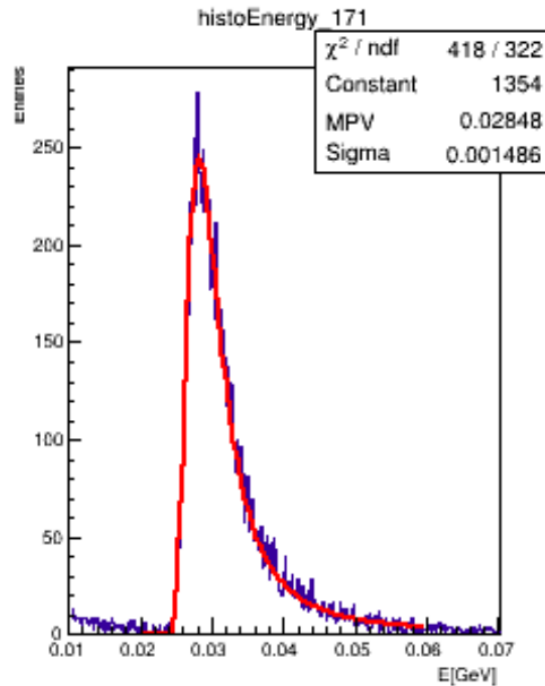
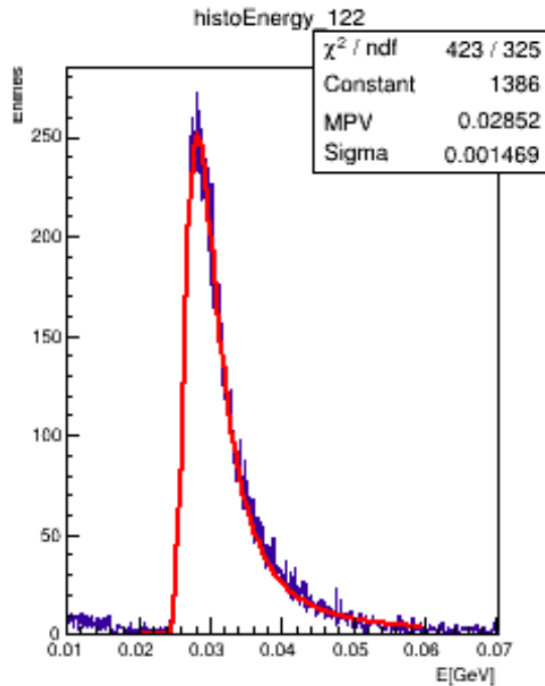
Muons simulations

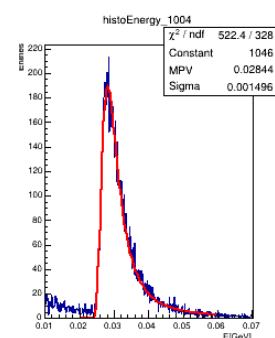
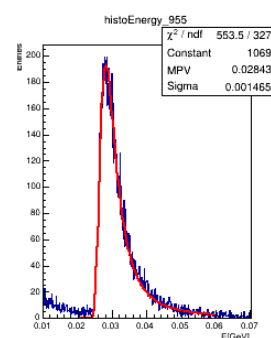
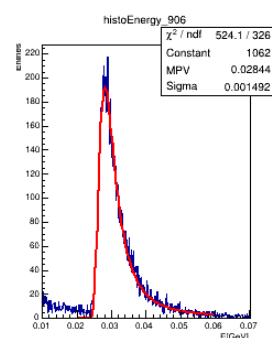
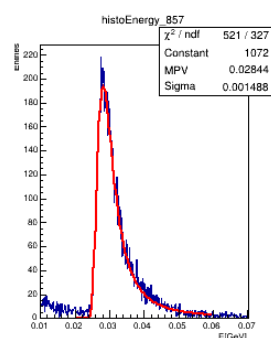
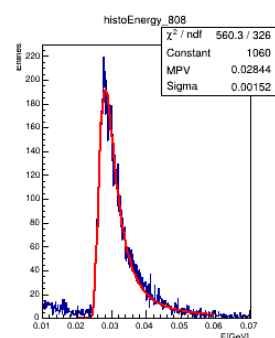
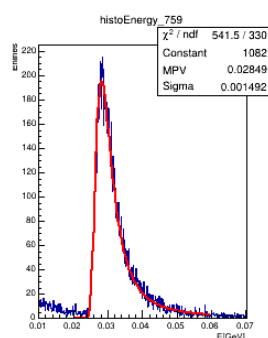
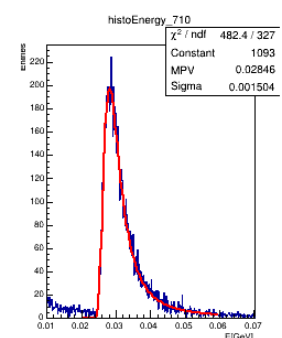
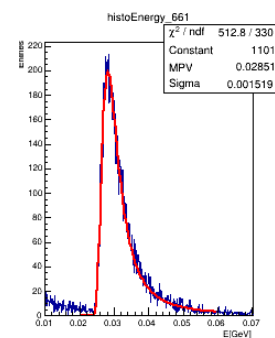
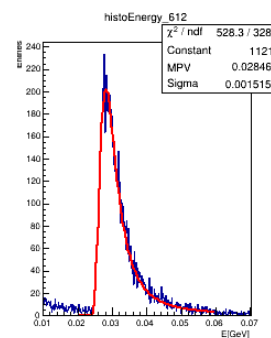
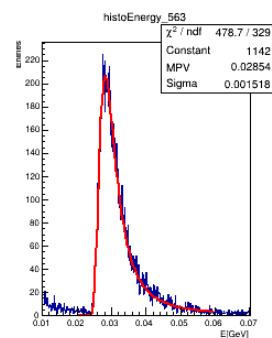
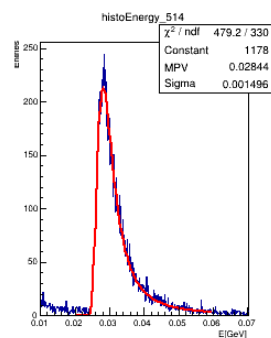
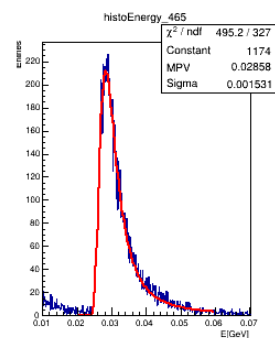
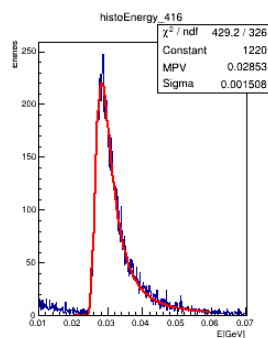
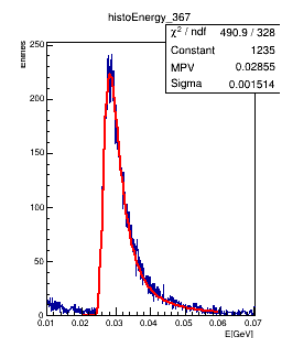
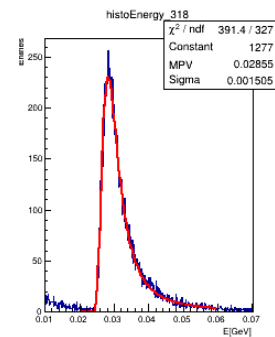
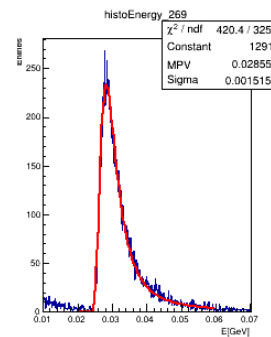
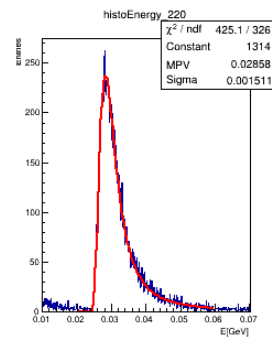
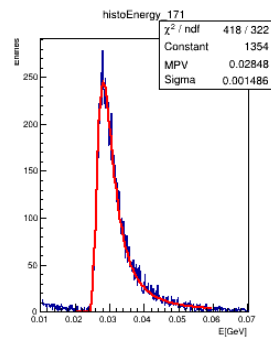
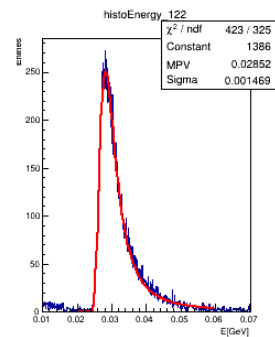
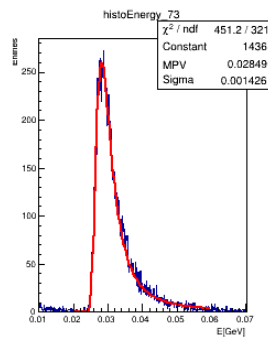
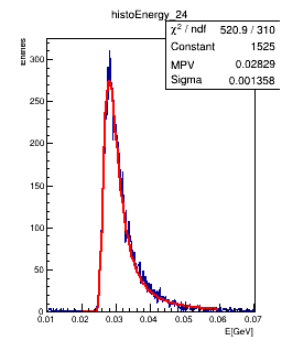
- Uniform beam of muons that cover the 3x3 CALO core
 - No tracker information (beam distribution information) at PS
 - Muons beam was wide and covered multiple crystals



ADC → GEV - iteration 0

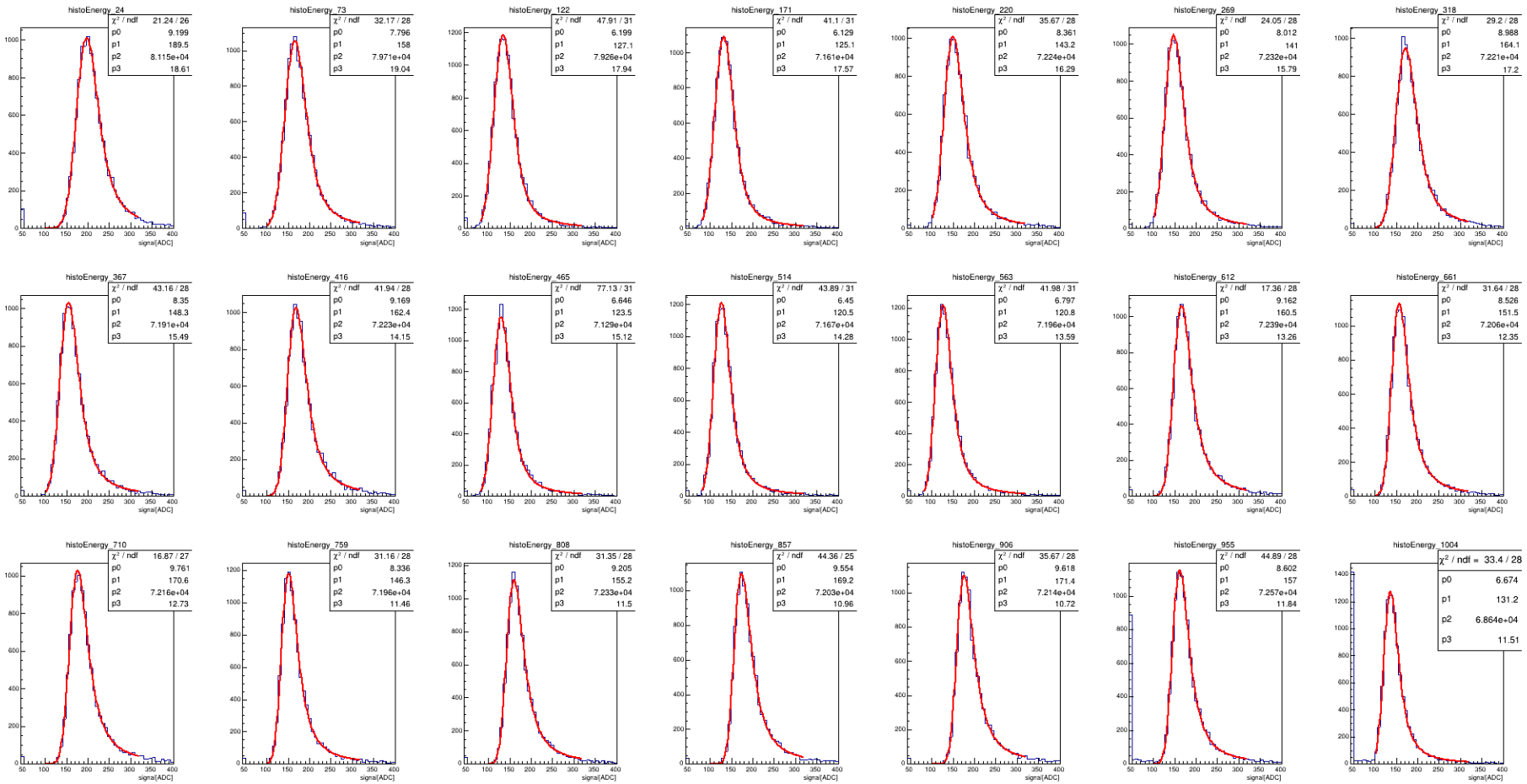
- Landau fit on MC muons histograms without digitization
- First estimation of MIP → GeV



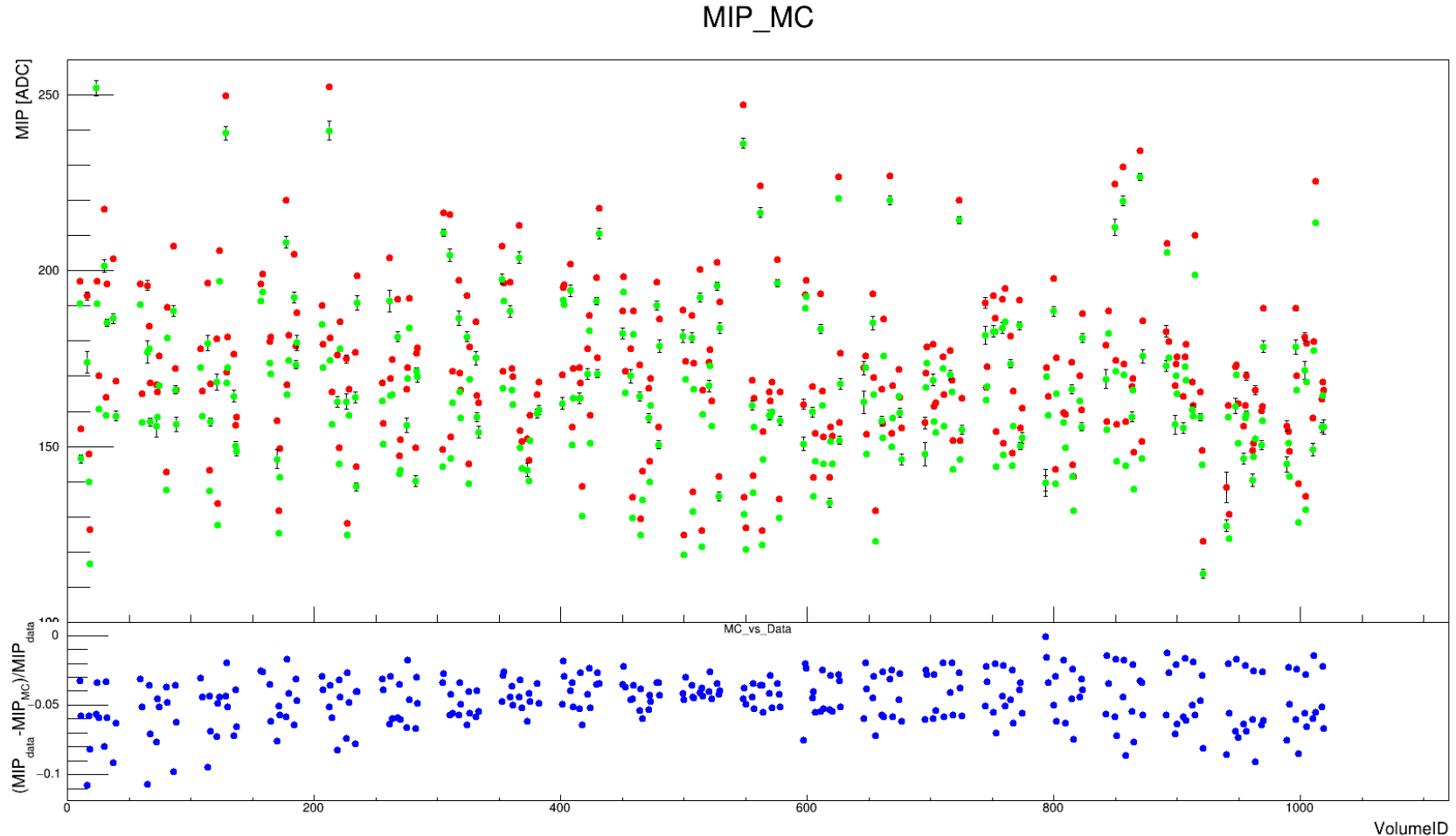


• Digitized MC muons using MIP → ADC from real data and MIP → GeV from Landau

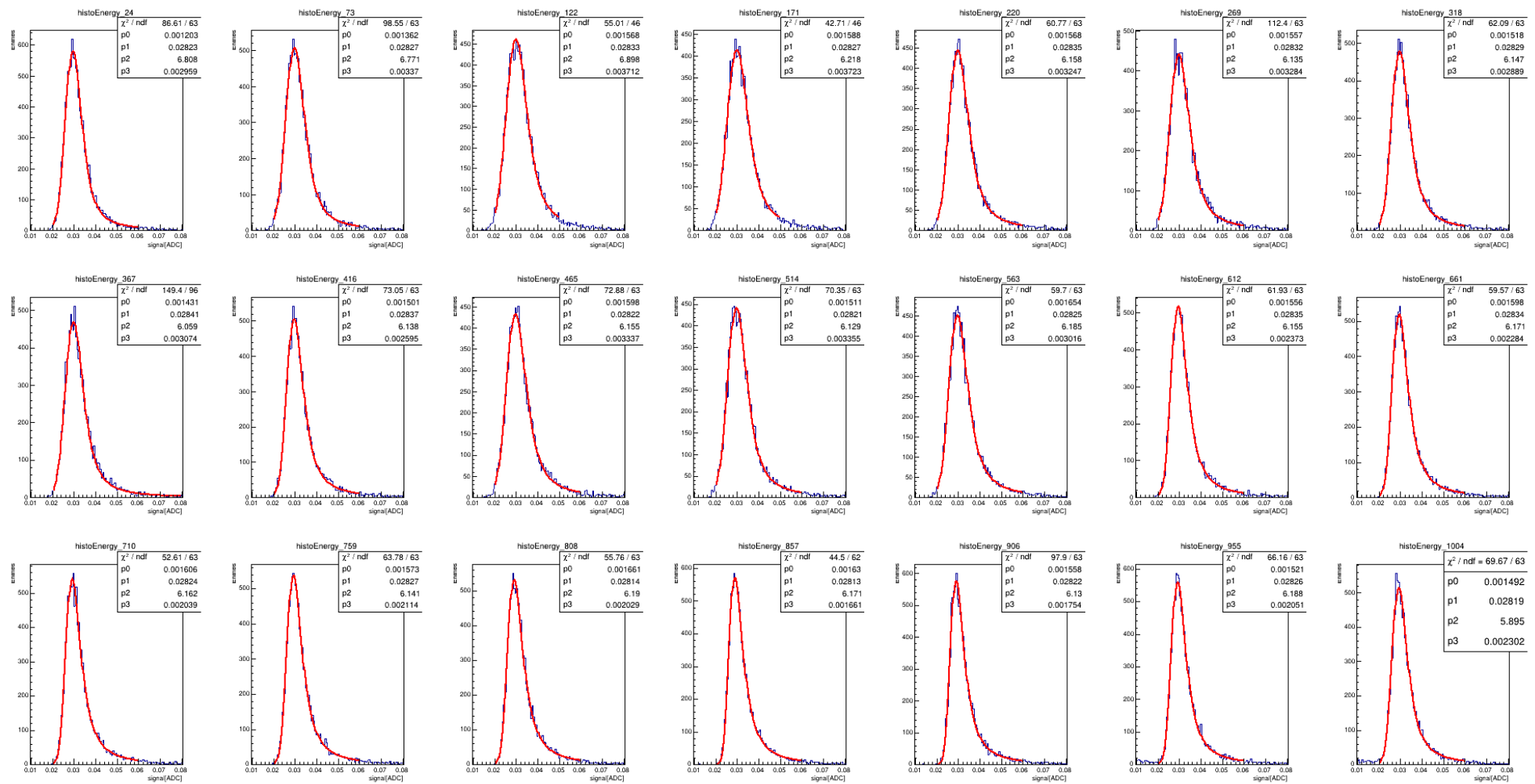
• LanGau fit on MC digitized muons



- Compared new MIP ADC peaks with the tue ones from real data
- There big differences → a new iteration is needed

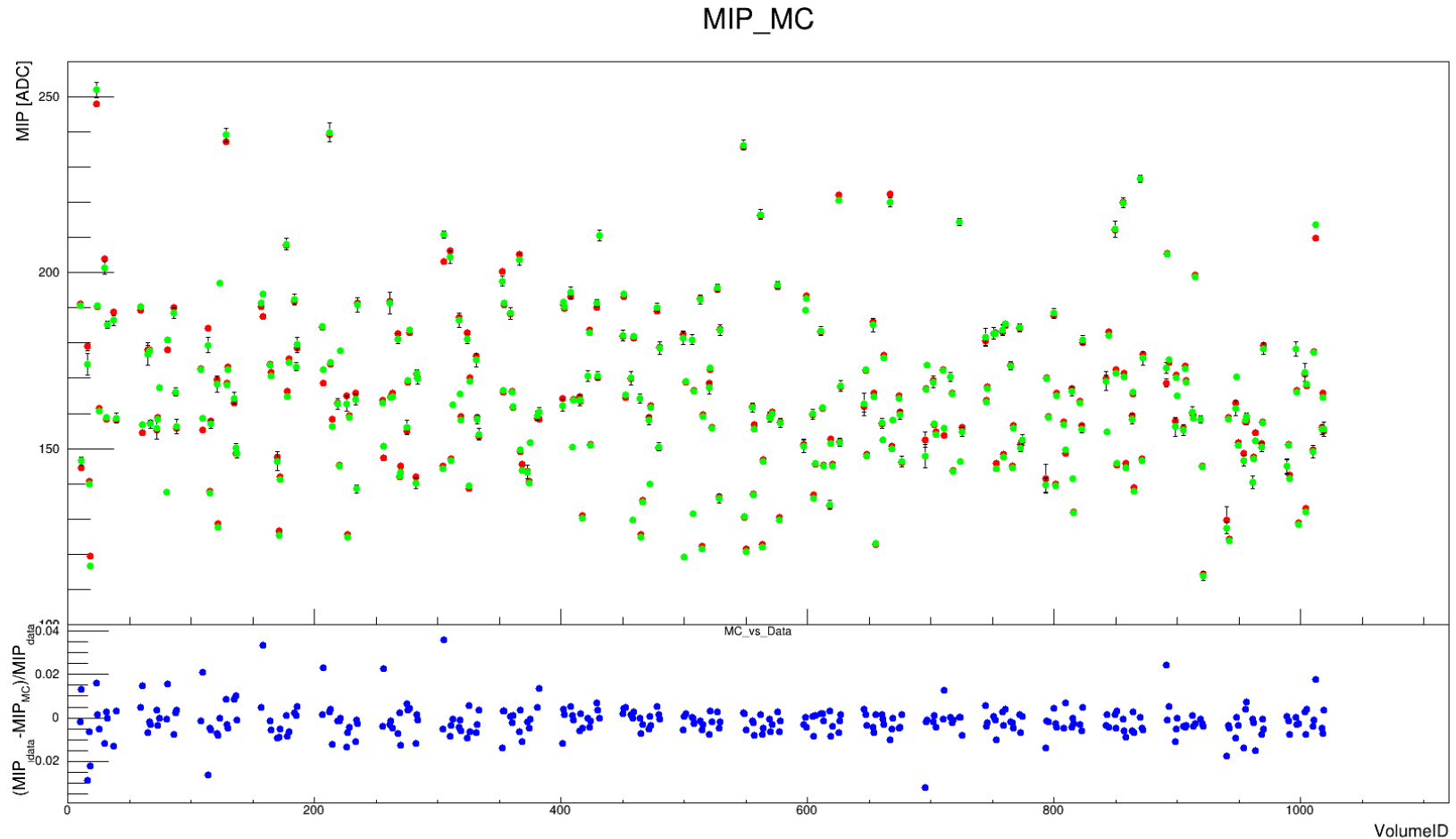


- Calibrated MC digitized MIP in GeV
- Fit LanGau to estimate new MIP → GeV conversion factor



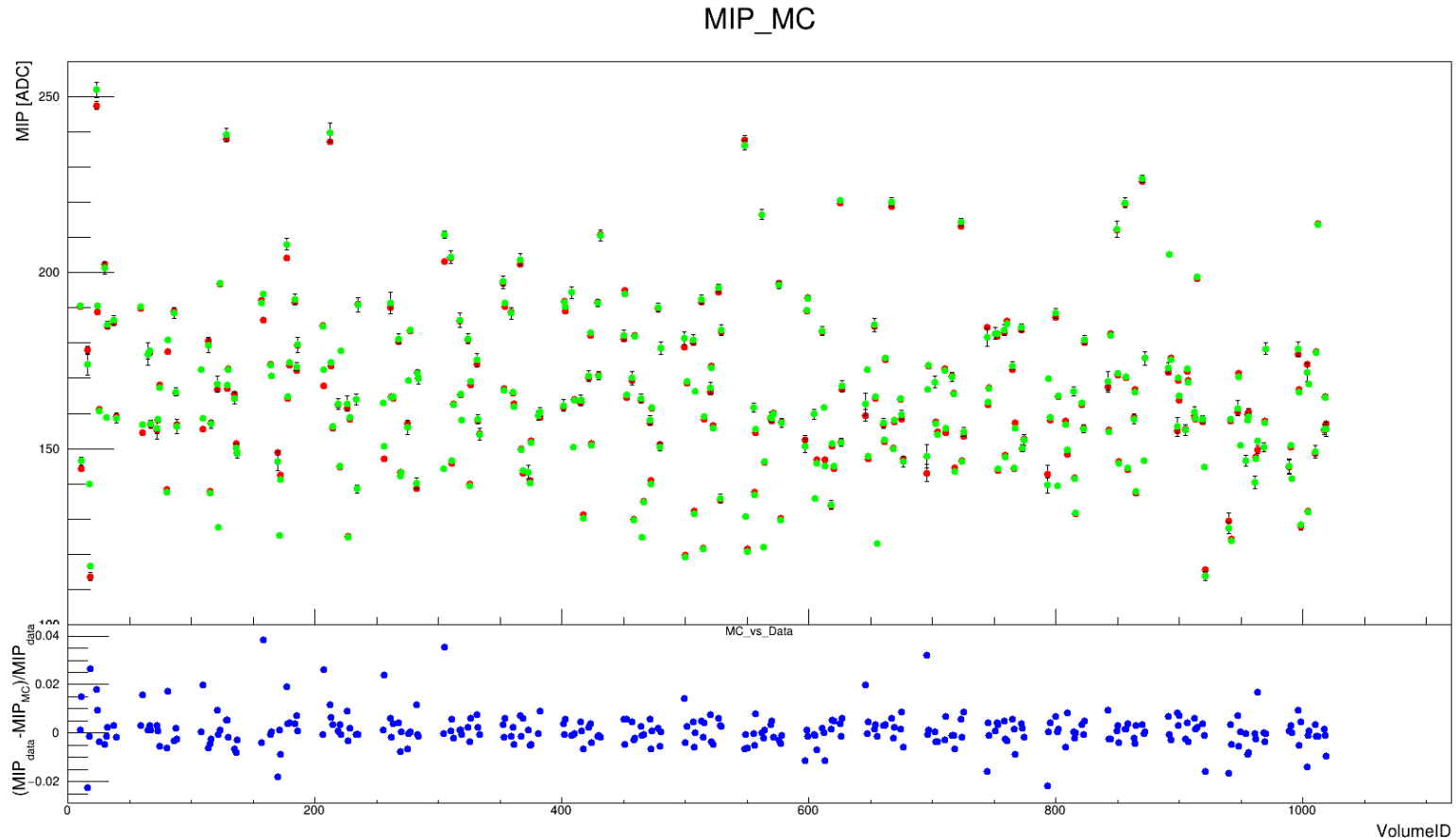
ADC \rightarrow GEV - iteration 1

- Much better!

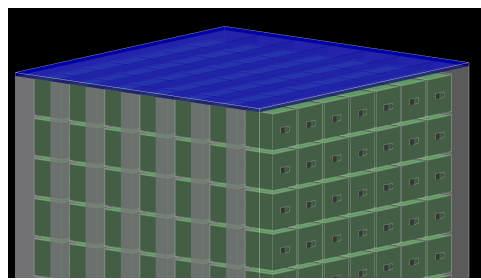


ADC \rightarrow GEV - iteration 2

- Not significant improvement respect to prior iteration
- We can stop here our calibration procedure



Simulation configuration



CALO
(detailed simulation)

PSD (what
we can get
from the cad)

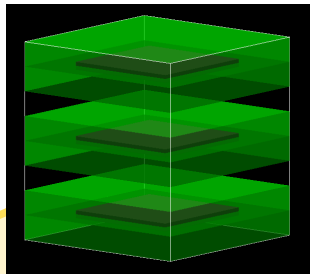
TRD (only
aluminum
of the box)



Charge
Tagger
(detailed
simulation)

SCD (one
silicon with
total
thickness)

Trigger
(detailed
simulation)



Simulation configuration

- Beam divergence only along y axis
- Beam uniform distribution
- Single energy beam
- Pure electron beam

Digitization

Digitization

- Conversion parameters used to digitize and calibrate
- Noise from pedestal events
- Low-gain noise = high-gain noise since no low-gain pedestal events acquired

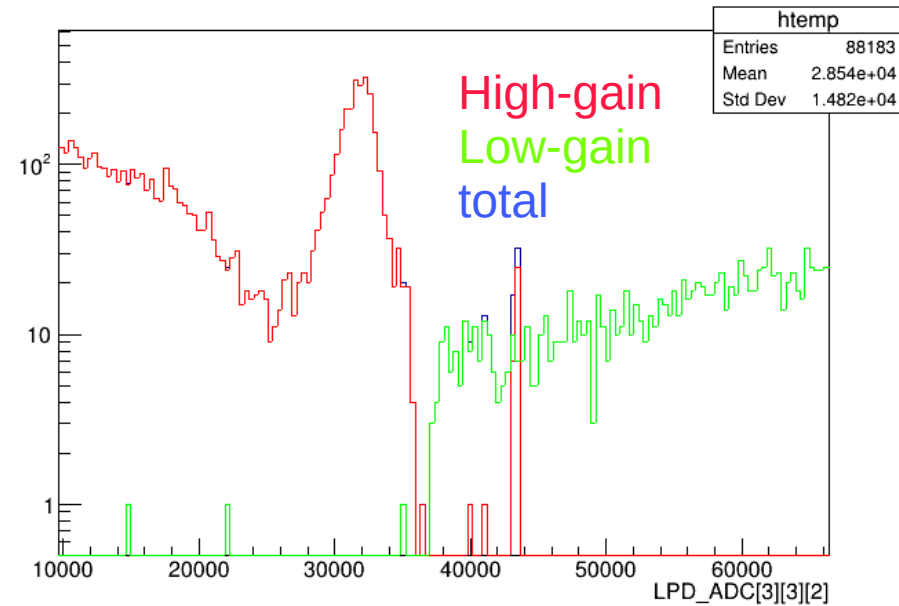
Digitization – Gain change jump

- “hole” between high-gain end and low-gain start
- Due to problem in HiDRA-2 chip (“the HOLD who was not a HOLD”)
- Problem that can not be easily corrected in the analysis
- Depends on:
 - Particle rate
 - Energy deposit in the crystal

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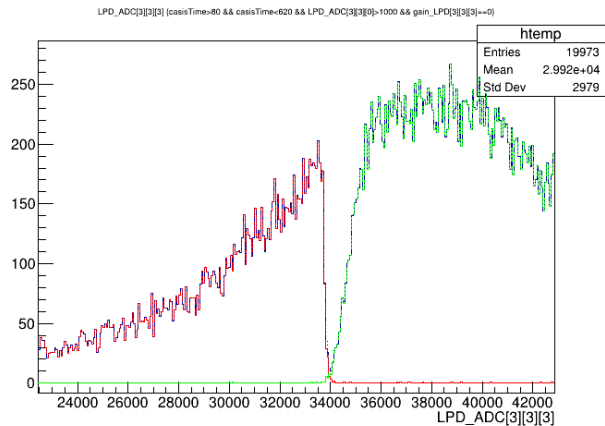
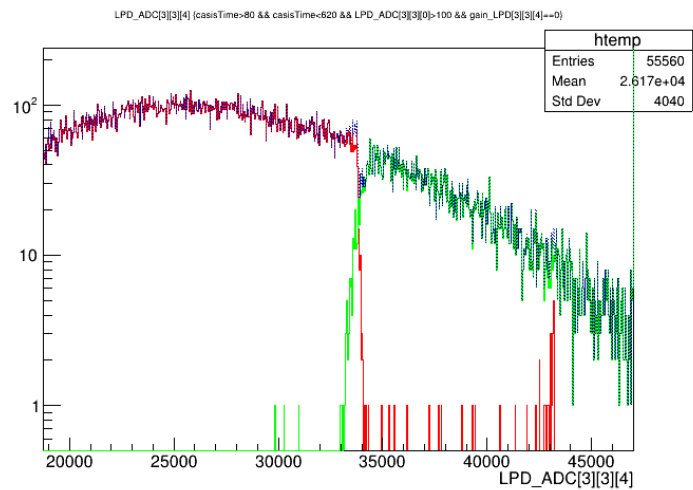
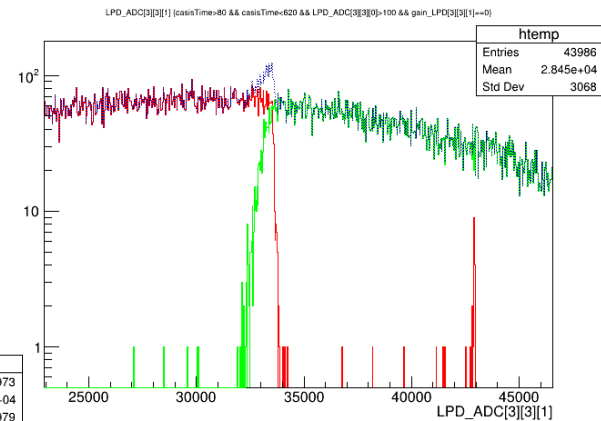
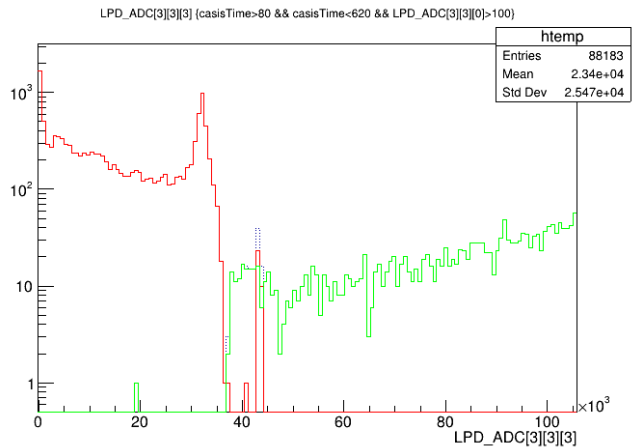
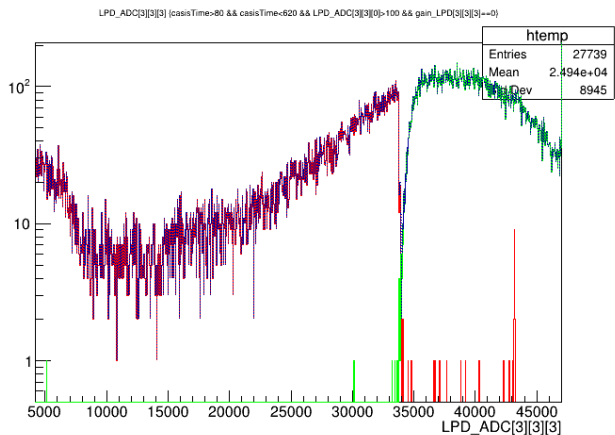
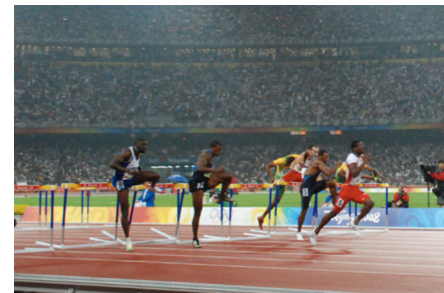


LPD_ADC[3][3][2] (casisTime>80 && casisTime<620 && LPD_ADC[3][3][0]>100)



Digitization – Gain change jump

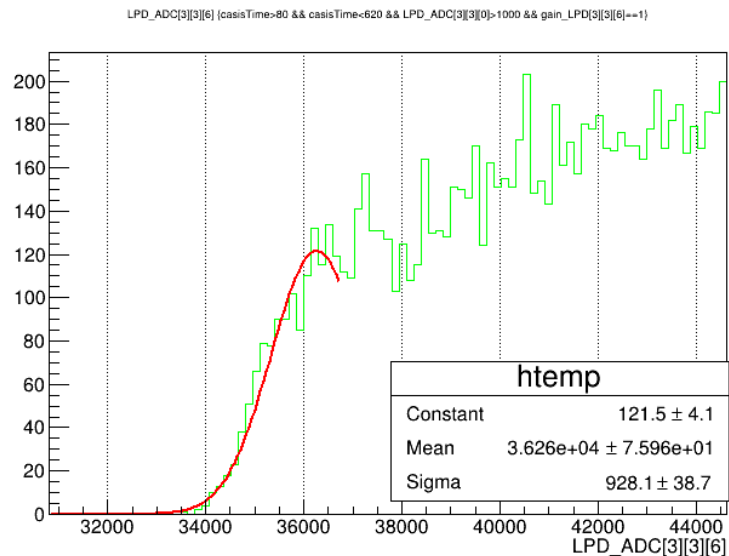
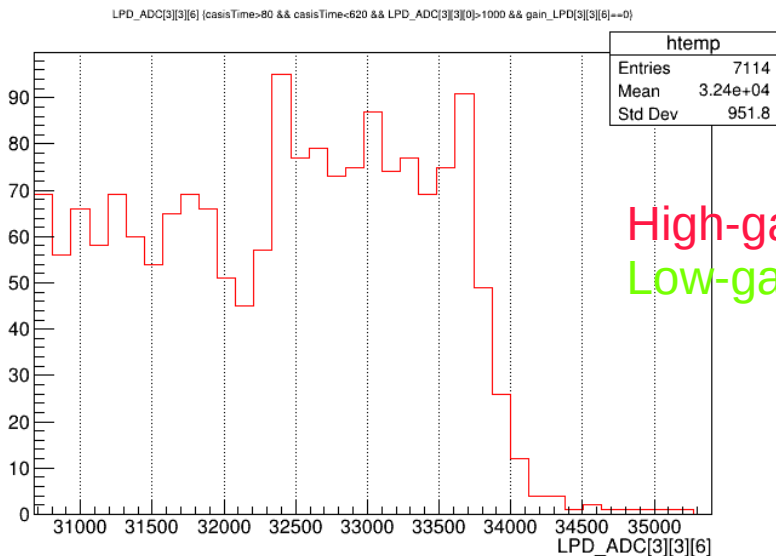
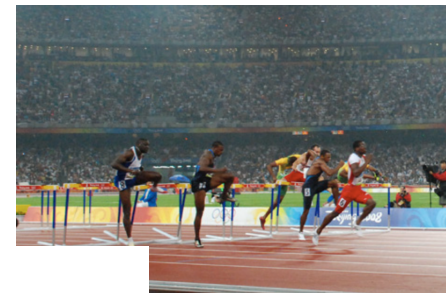
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Digitization – Gain change jump

- Try to “model” the effect and add it in simulation

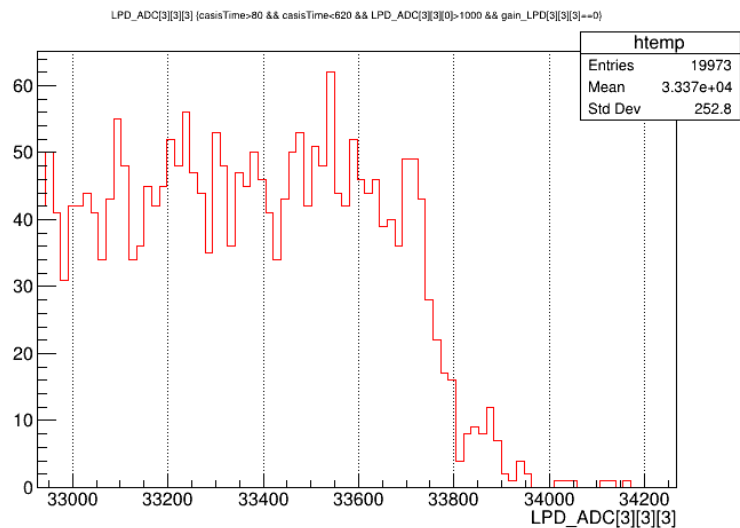
Beijing 2008 110h final



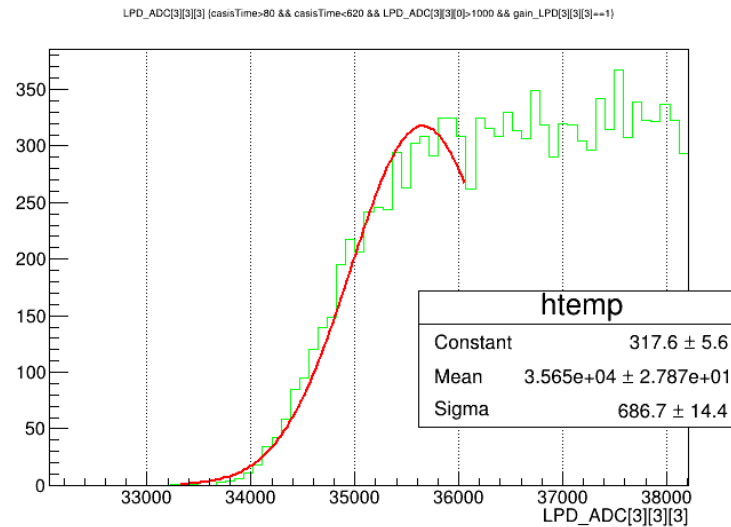
Gaussian fit to estimate the fluctuations of the gap

250 GeV
beam

Gain jump gap ~ 36260 - 34000 ~ 2260
ADC
Sigma 928 ADC

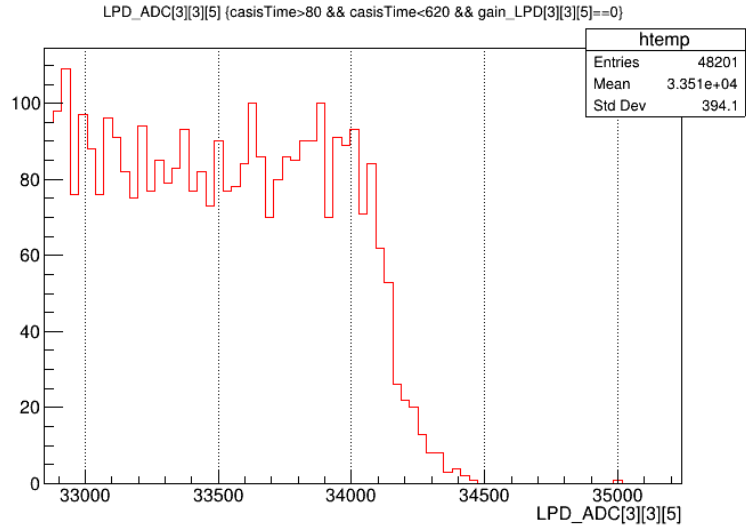


High-gain
Low-gain

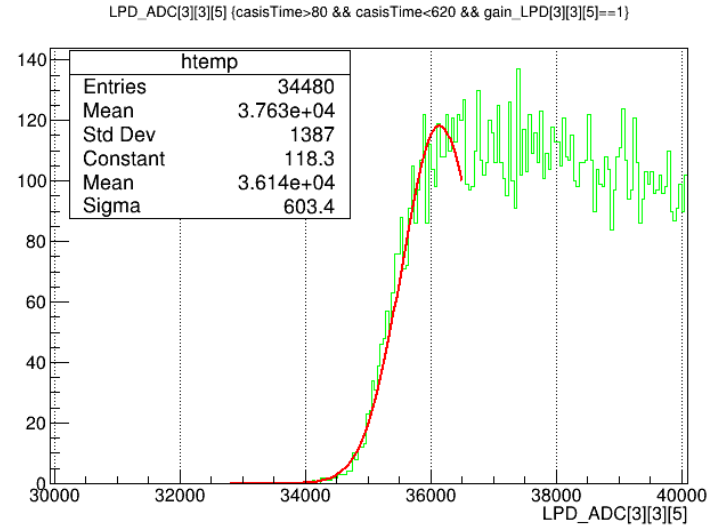


DeltaX ~ 35650 - 33800 ~ 1850 ADC
Sigma 687 ADC

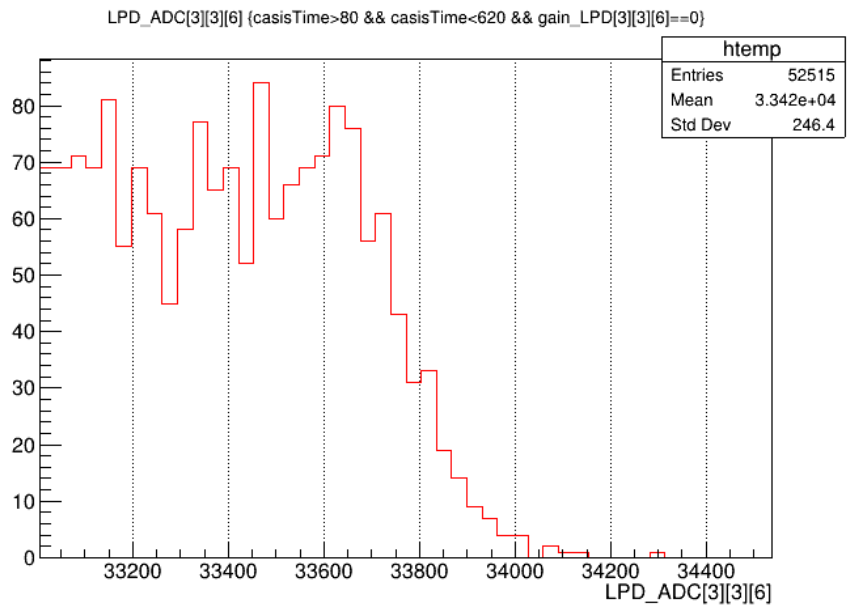
50 GeV
beam



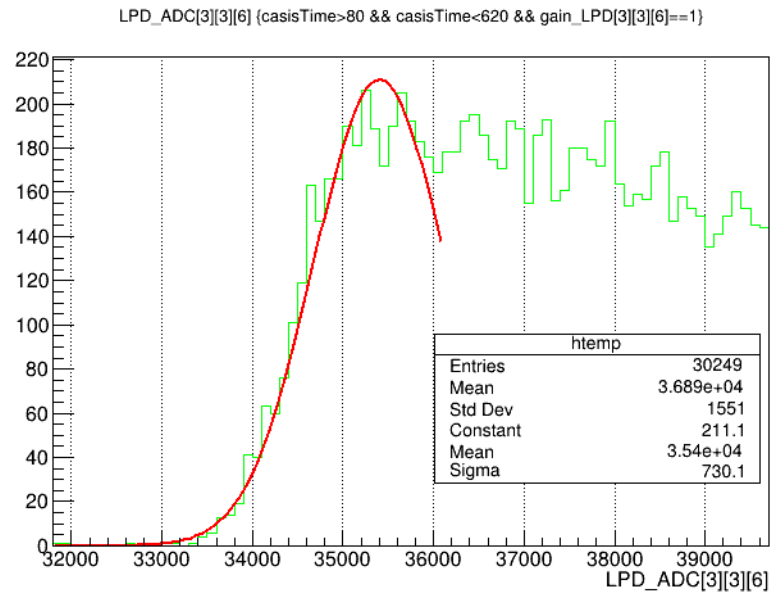
DeltaX ~ 36140 - 34200 ~ 1940 ADC
Sigma 603 ADC



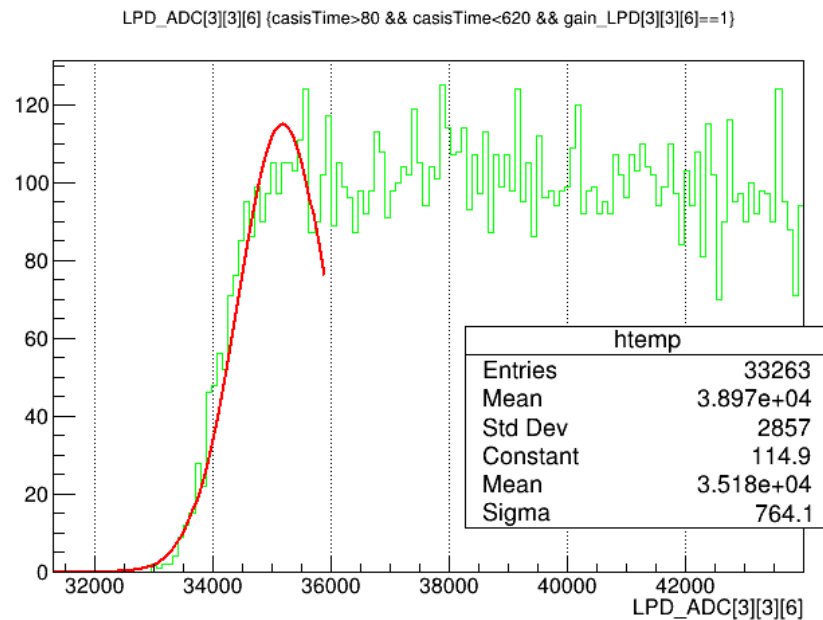
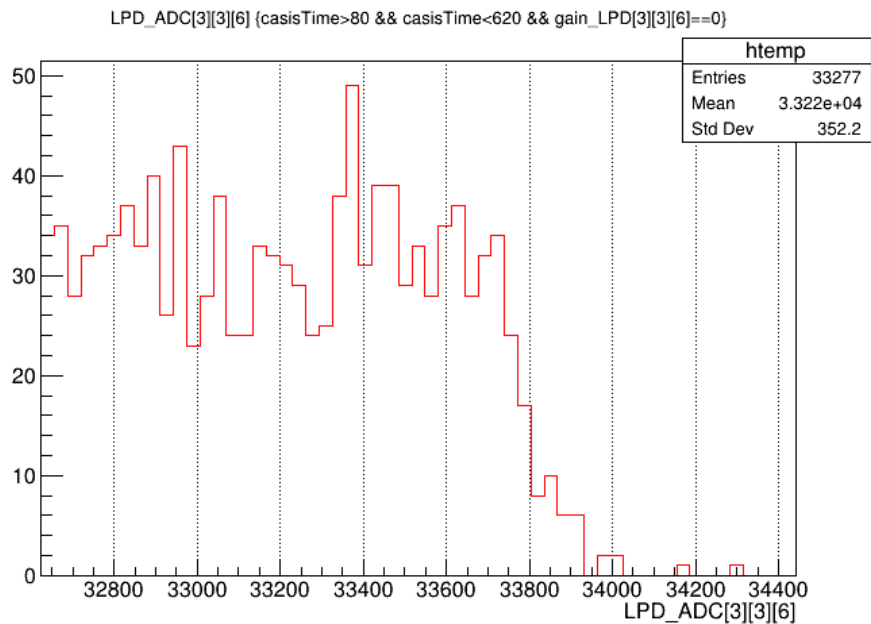
100 GeV
beam



DeltaX ~ 35400 - 33800 ~ 1600 ADC
Sigma 730 ADC



150 GeV
beam



DeltaX ~ 35180 - 33700 ~ 1480 ADC
Sigma 764 ADC

200 GeV
beam

Digitization – Gain change jump

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- Assume that the effect is equal for all the channels (wrong)
- If the signal is in low gain
 - Add to the ADC signal a contribution: gain jump gap, smeared as a Gaussian with the sigma of the Gaussian fit

Digitization – Gain change jump Solution

- Jump the hurdle
 - Discard all the events in which at least one cube has a signal inside the gain change gap



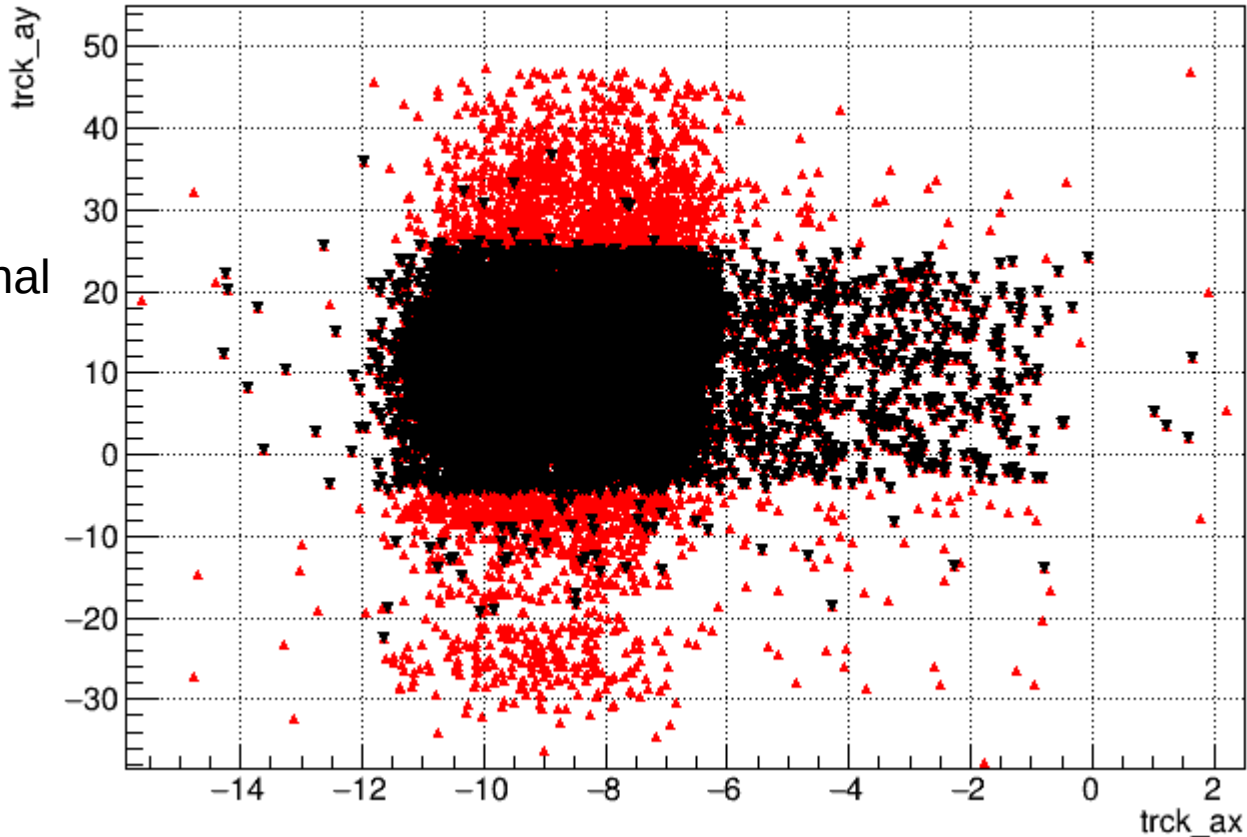
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Calo-SCD-Beam alignment

Run 302 – 250 GeV

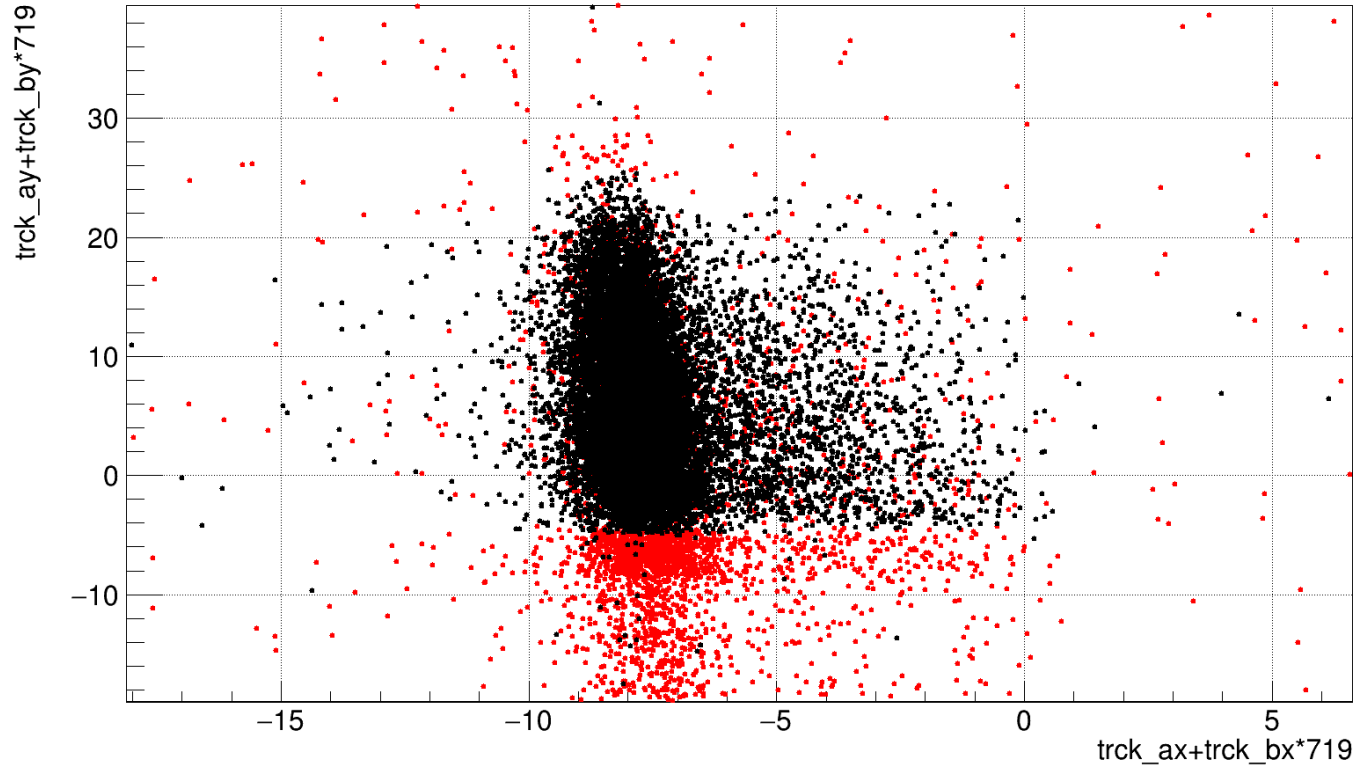
`trck_ay:trck_ax {pow(10,trck_chi2)<10 && casisTime>80 && casisTime<620}`

All events
Selection on
first cube signal



Run 305+310+311 – 200 GeV

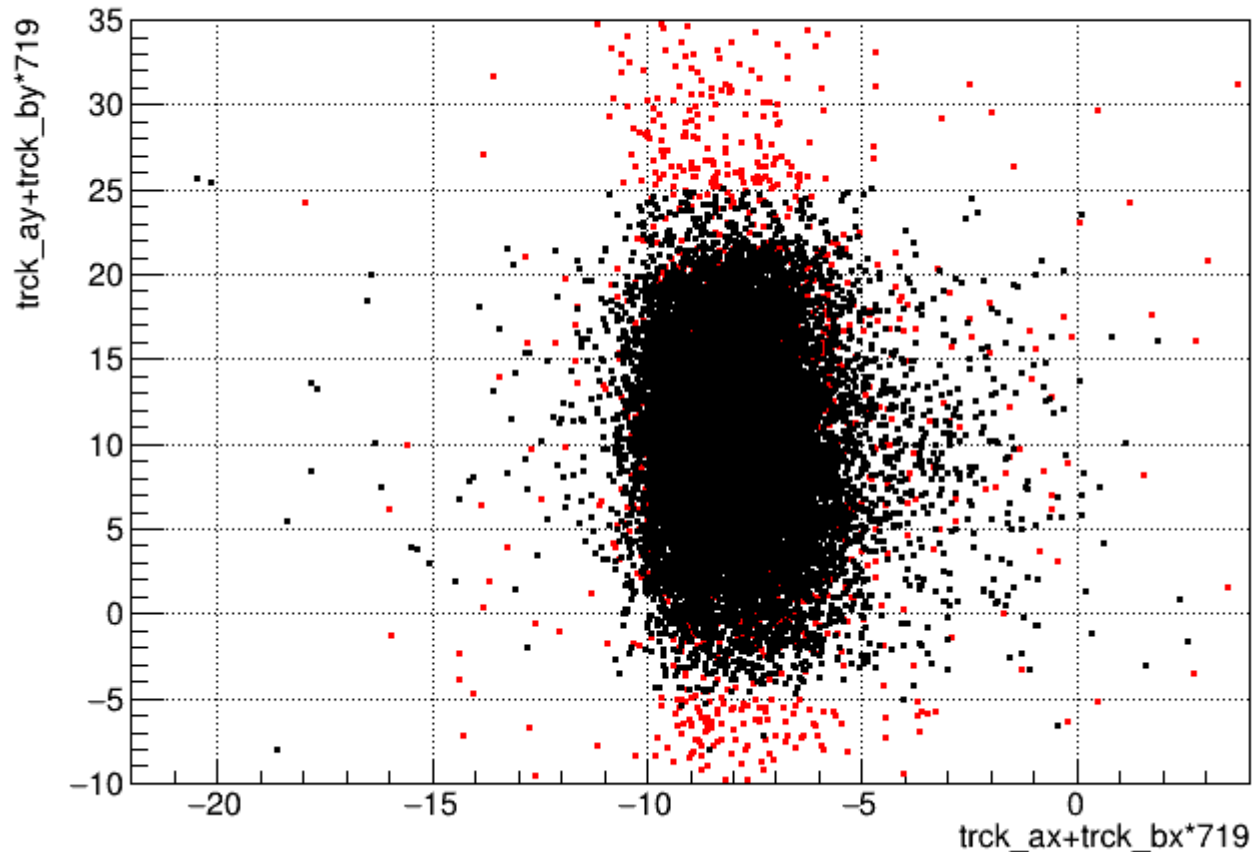
`trck_ay+trck_by*719:trck_ax+trck_bx*719 {trck_chi2<1}`



All events
Selection on
first cube signal

Run 303 -150 GeV

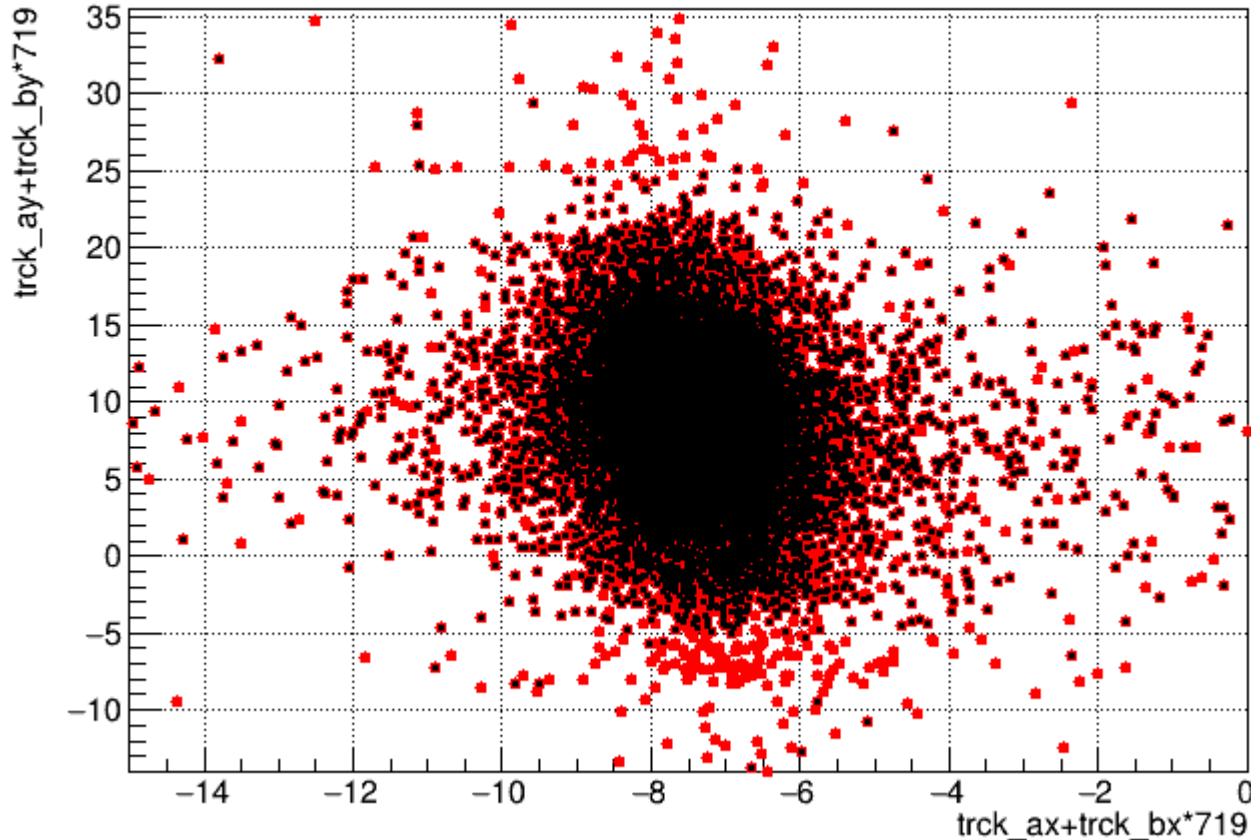
`trck_ay+trck_by*719:trck_ax+trck_bx*719 {trck_chi2<1}`



All events
Selection on
first cube signal

Run 312 – 100 GeV

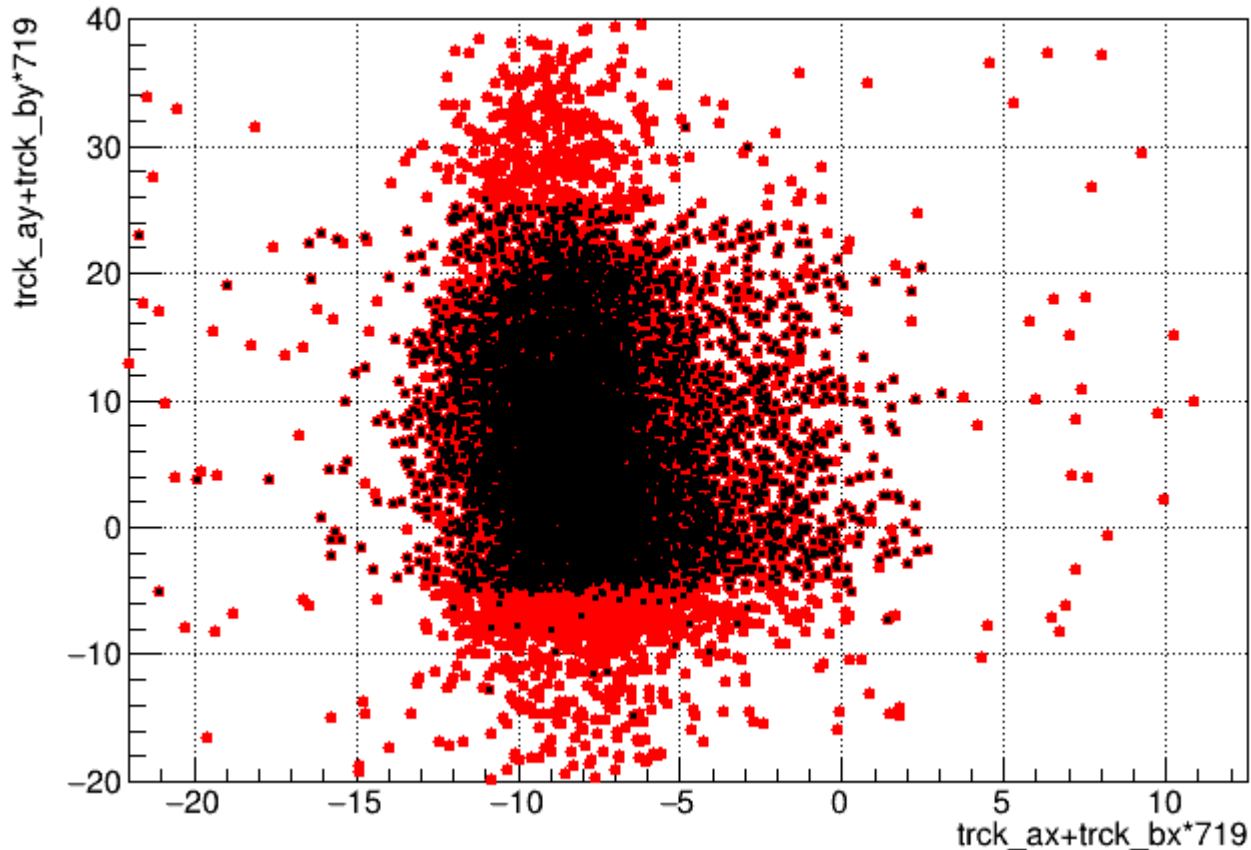
`trck_ay+trck_by*719:trck_ax+trck_bx*719 {trck_chi2<1}`



All events
Selection on
first cube signal

Run 304 – 50 GeV

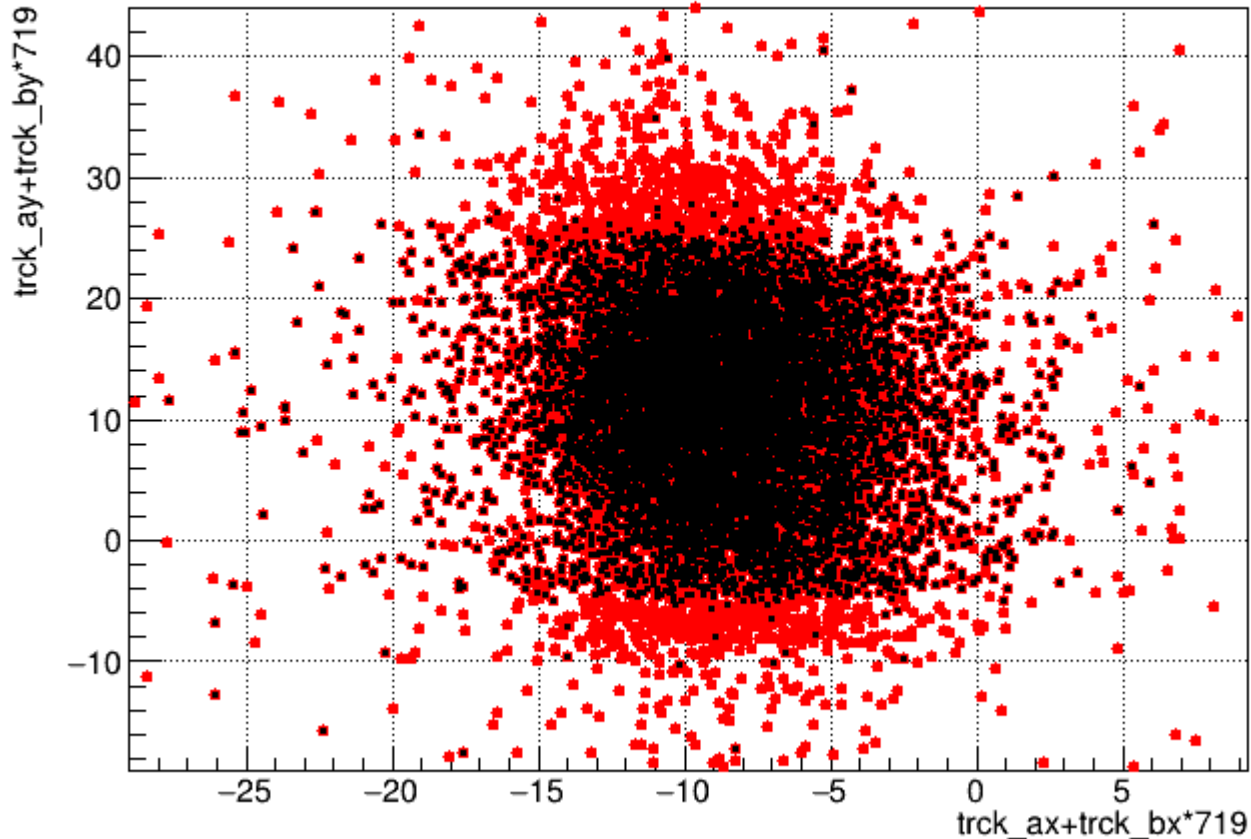
`trck_ay+trck_by*719:trck_ax+trck_bx*719 {trck_chi2<1}`



All events
Selection on
first cube signal

Run 313 – 20 GeV

`trck_ay+trck_by*719:trck_ax+trck_bx*719 {trck_chi2<1}`



All events
Selection on
first cube signal

Alignment

- Along Y for all data acquired the first cube is in the same Y position (-5 mm; +25 mm) in the SCD coordinate system
- Systematic shift along Y to align Calo and SCD
- Along X the beam does not cover all the crystal and does not hit any border of the crystal → no simple alignment procedure
- In addition we need to check for possible inclination of the calorimeter respect to beam and SCD

Centers Of Gravity (COG) method

- For every layer of the calorimeter computation of (X;Y) coordinate of the center of gravity

$$x_{reference}^{new} = \frac{1}{E_{tot}} \cdot \sum_{i=layer\ crystals} E_i \cdot (x_i - x_{reference}^{old})$$

- Iterative method until

$$x_{reference}^{new} - x_{reference}^{old} < 100 \mu m$$

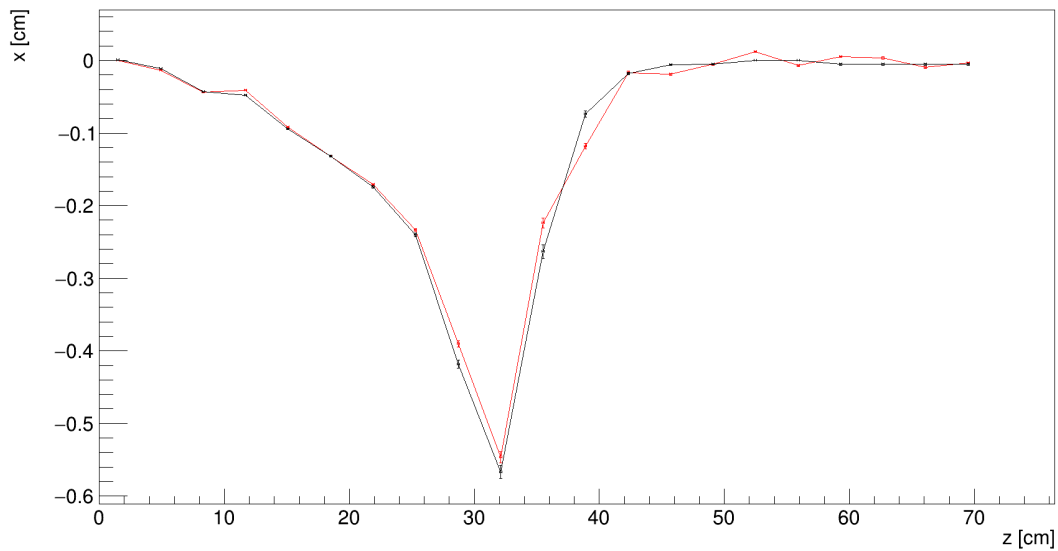
$$y_{reference}^{new} - y_{reference}^{old} < 100 \mu m$$

COG method result for every energy

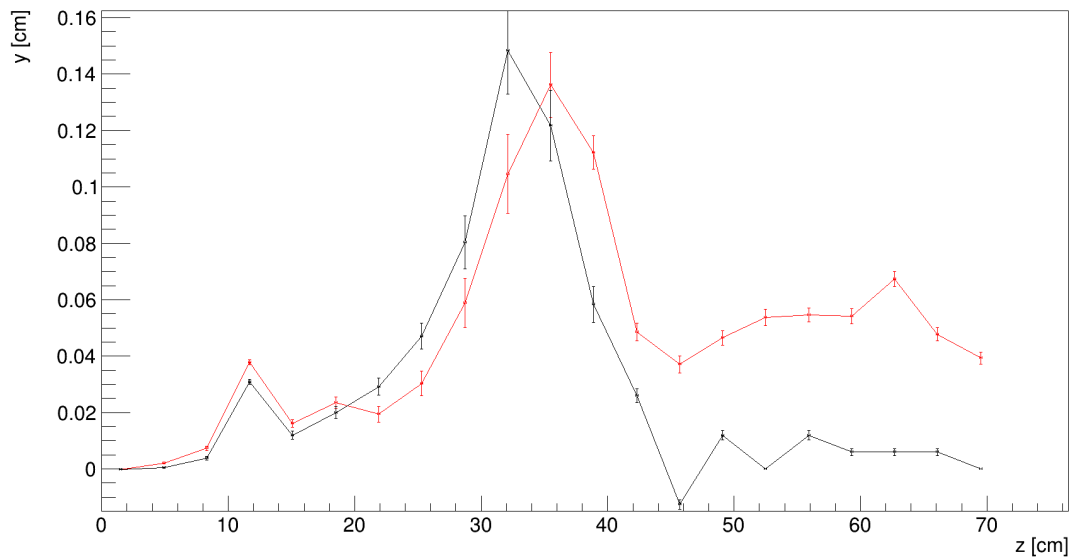
- Using the COG method for every beam energy and after some long tuning for the inclination of the Calo respect to the beam along the Y axis
- Beam is centered along the X axis at about -0.35 cm respect to the calo center
- Along X selected a region of 5 mm for the beam acceptance (beam is narrow along X)
- Along Y selected a region of 1 cm centered on the calo center

250 GeV

EDepXZGraph



EDepYZGraph

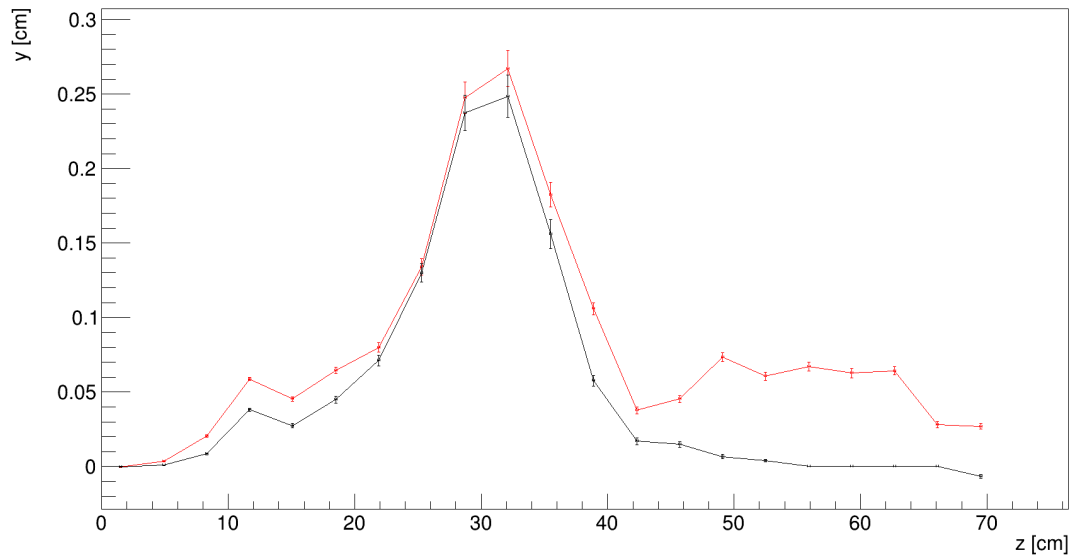


Data
MC

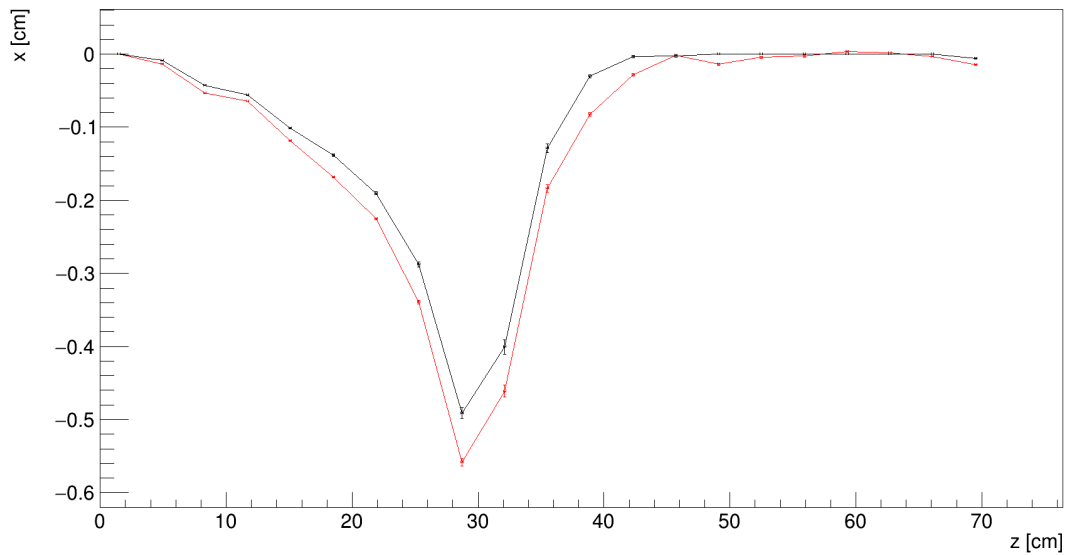


200 GeV

EDepYZGraph



EDepXZGraph

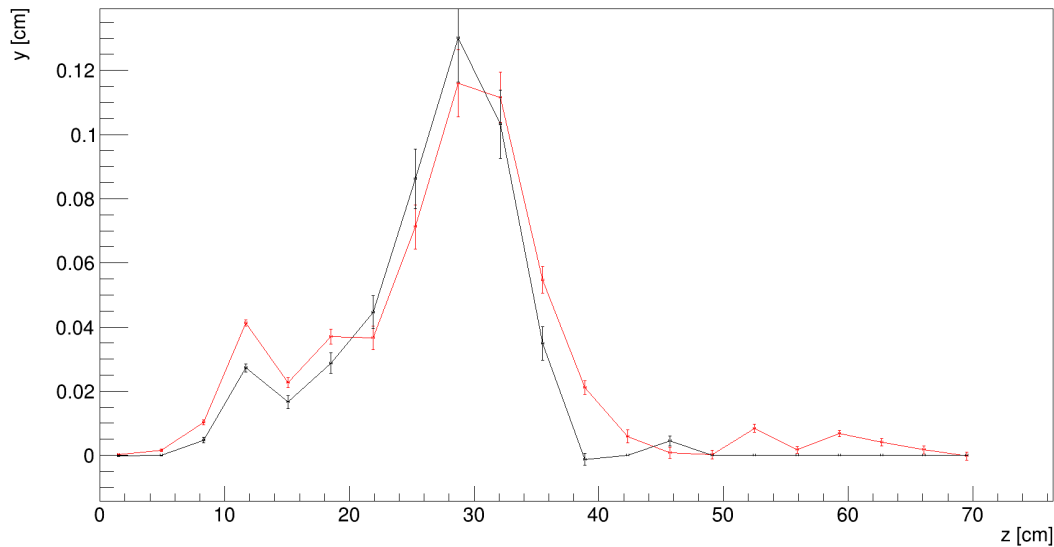


Data
MC

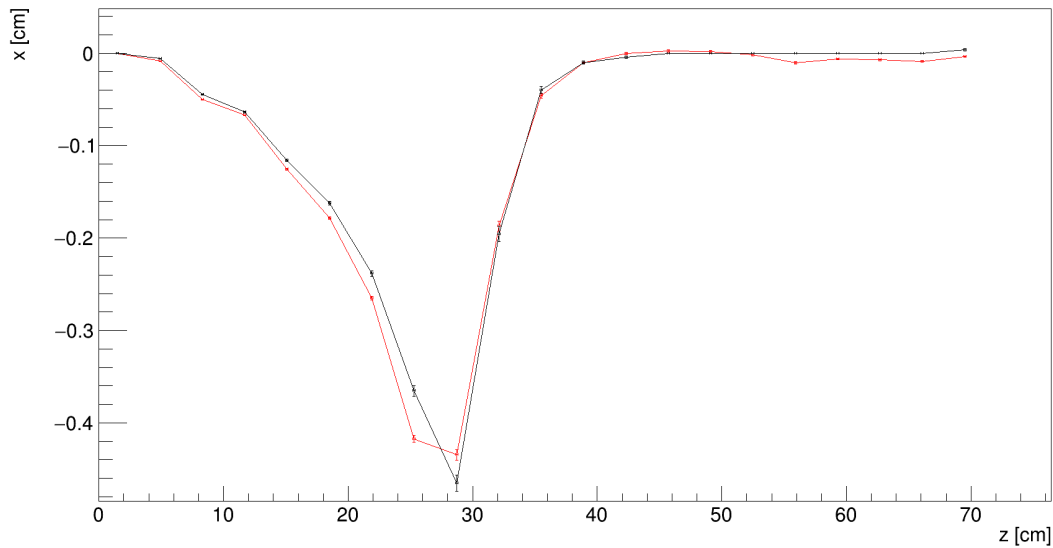


150 GeV

EDepYZGraph



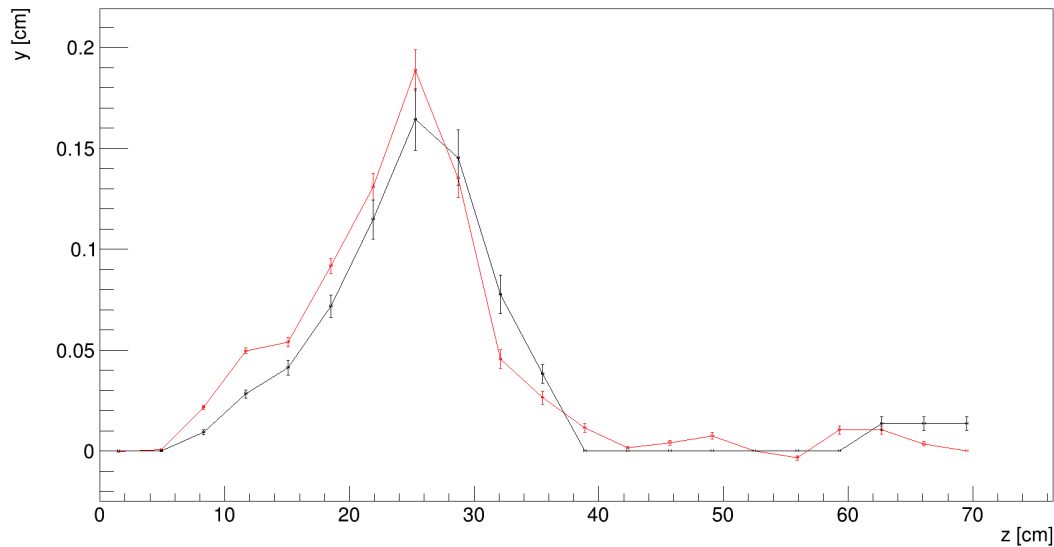
EDepXZGraph



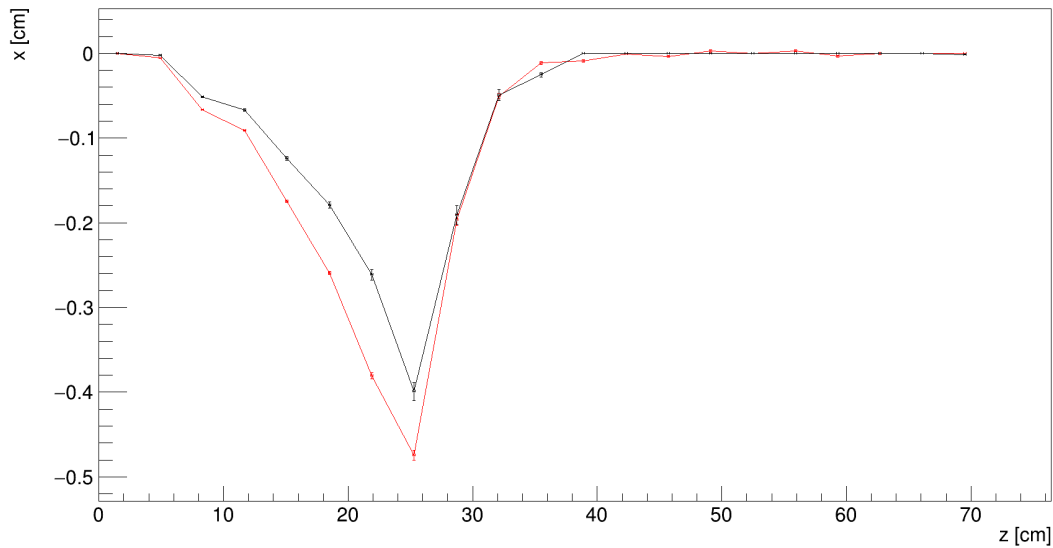
Data
MC

100 GeV

EDepYZGraph



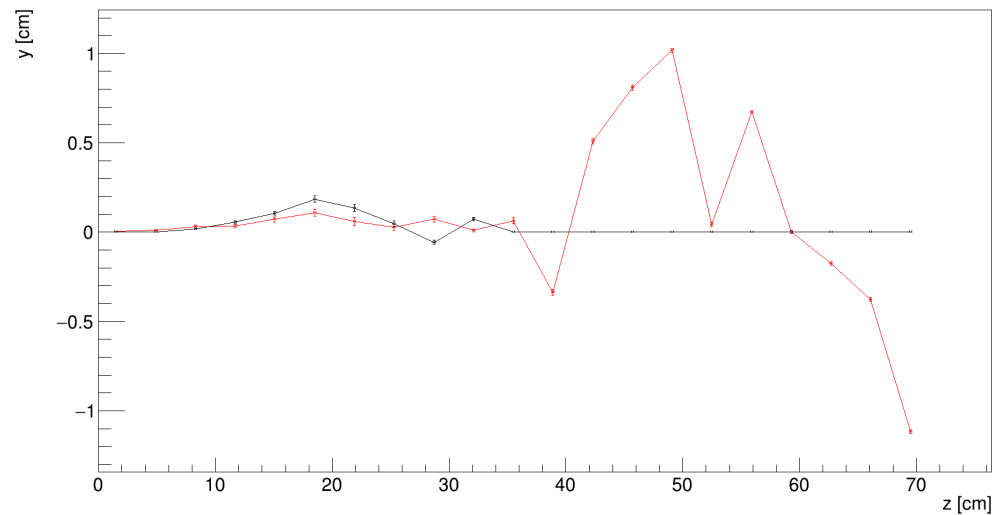
EDepXZGraph



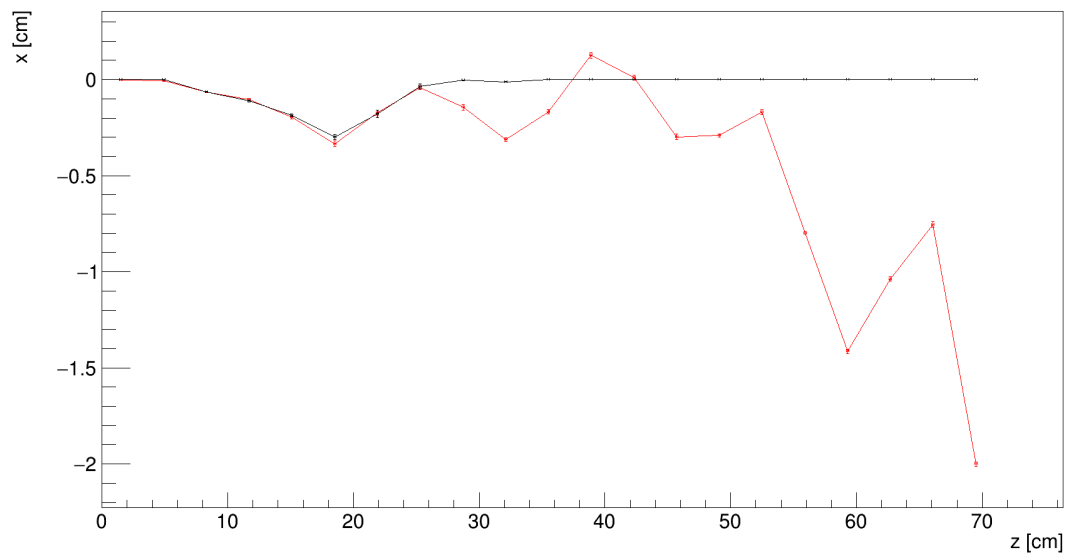
Data
MC

50 GeV

EDepYZGraph



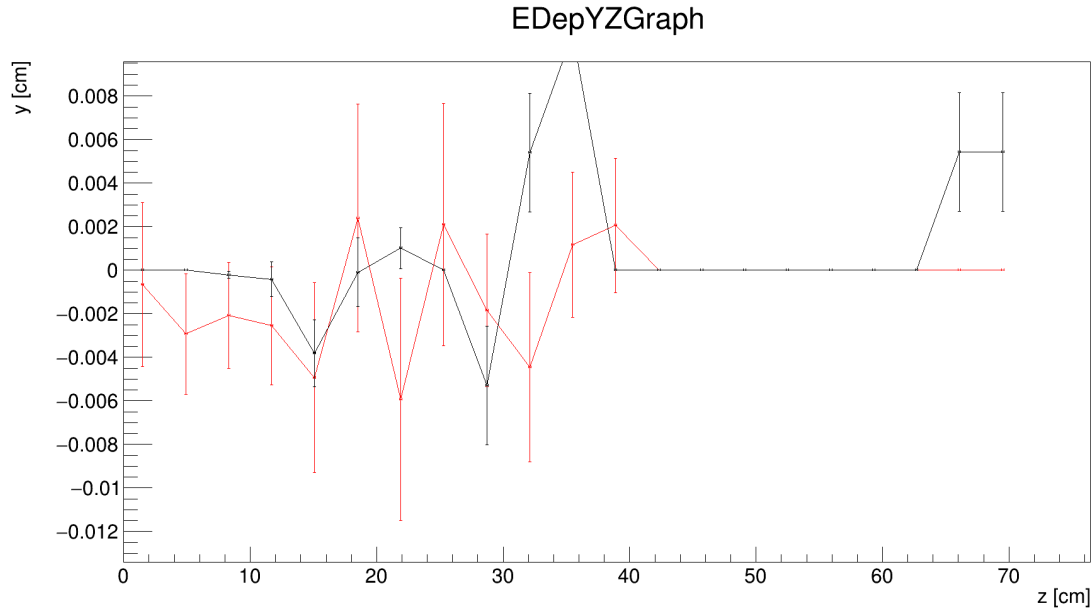
EDepXZGraph



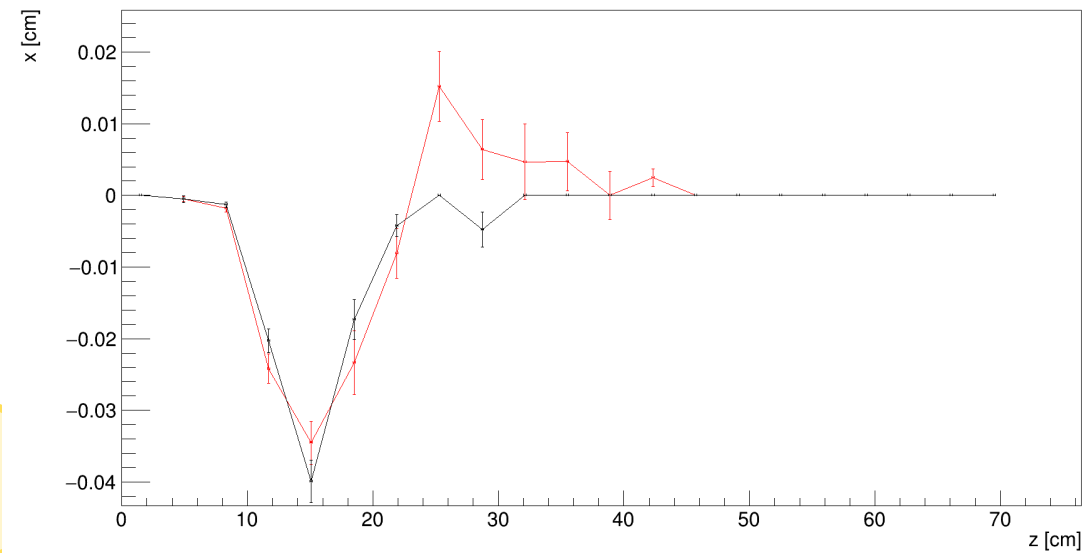
Data
MC

44

20 GeV



EDepXZGraph



Data
MC

45

Energy resolution

Energy resolution

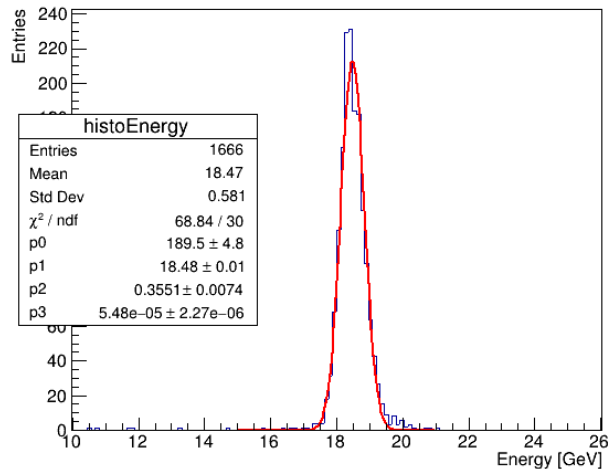
- Build histogram of total energy deposit (use layers 0-14 $\sim 36.4 X_0$)
- Fit with Logarithmic Gaussian (Gruppen)

$$dW = \exp \left\{ -\frac{\ln^2[1 - \eta(E - E_p)/\sigma]}{2s_0^2} - \frac{s_0^2}{2} \right\} \frac{\eta dE}{\sqrt{2\pi}\sigma s_0}$$

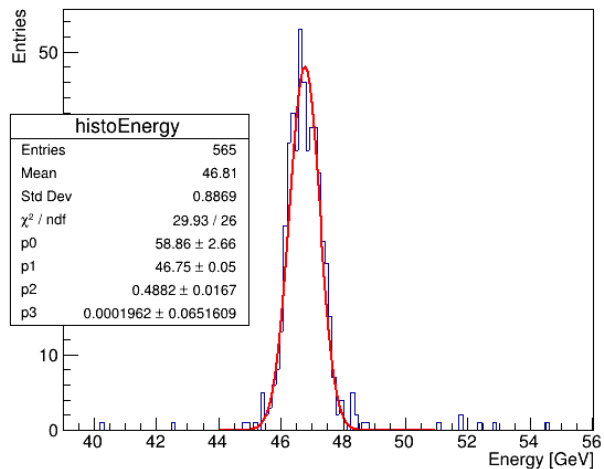
- Estimate distribution width using confidence level at 68%

LogGuas fit on real data

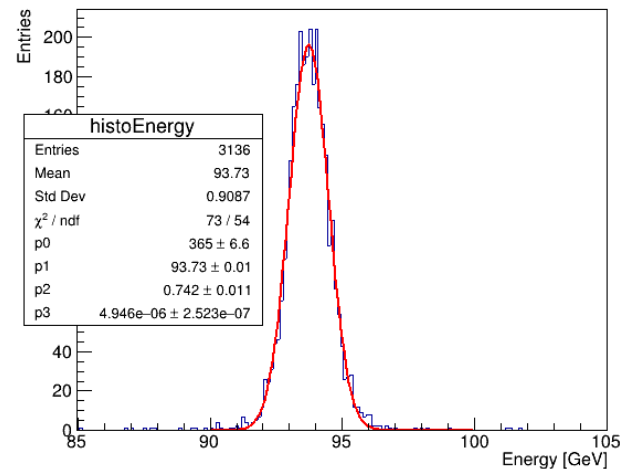
histo_20GeV



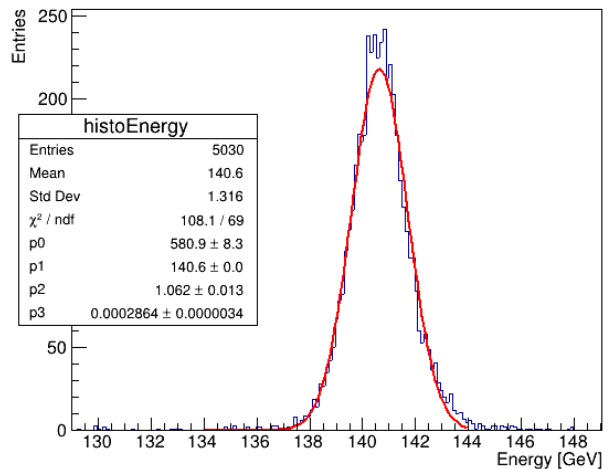
histo_50GeV



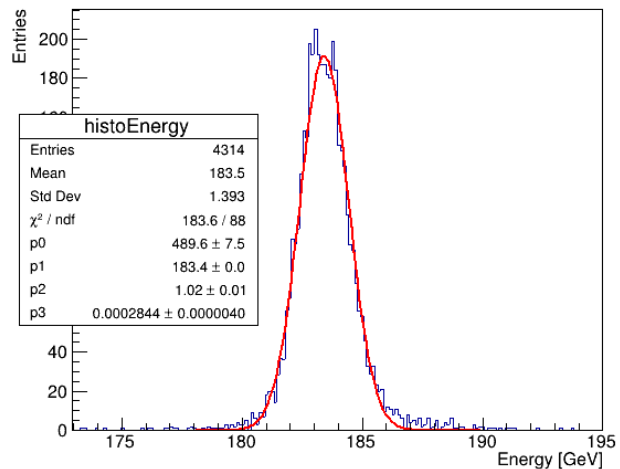
histo_100GeV



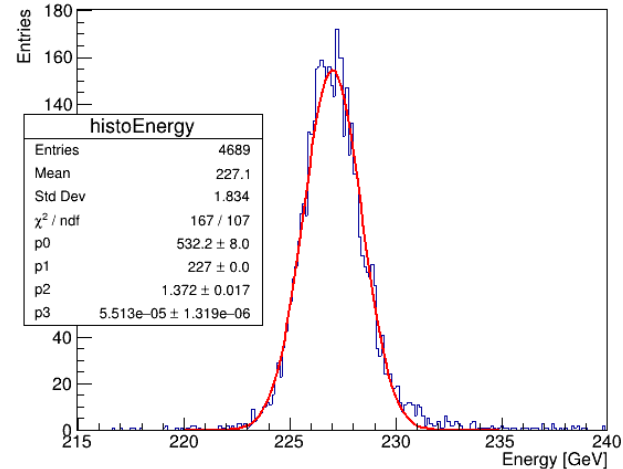
histo_150GeV



histo_200GeV

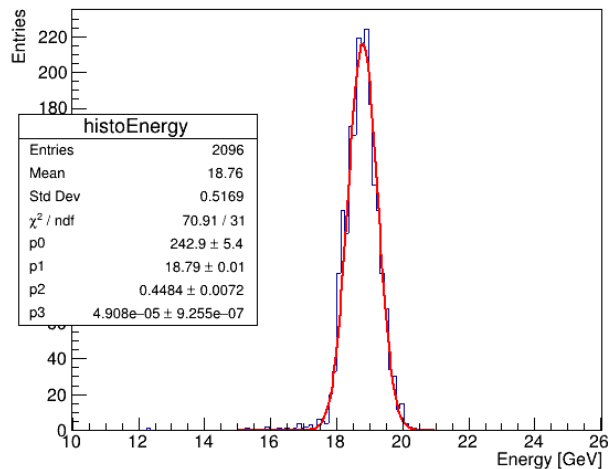


histo_250GeV

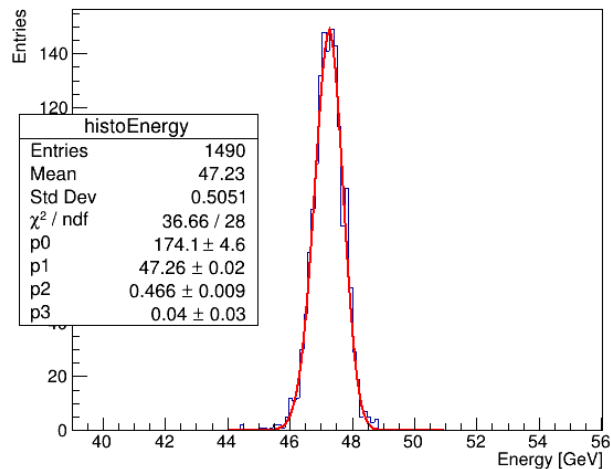


LogGuas fit on MC data

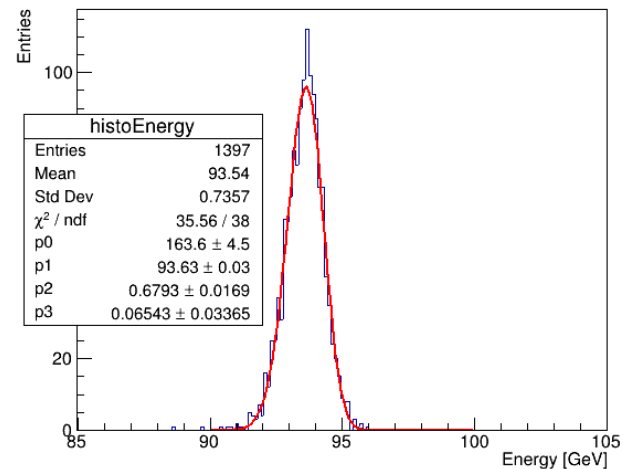
histo_20GeV



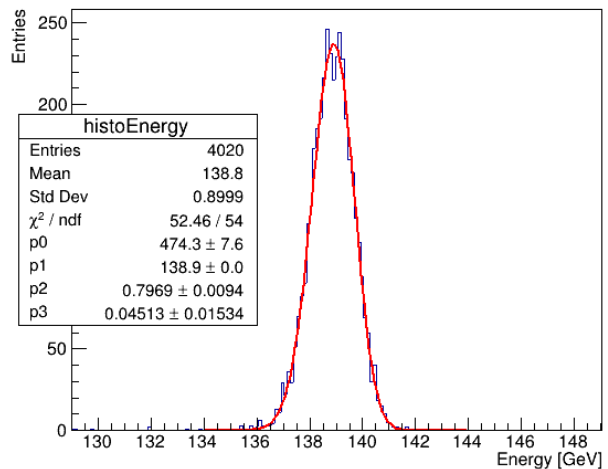
histo_50GeV



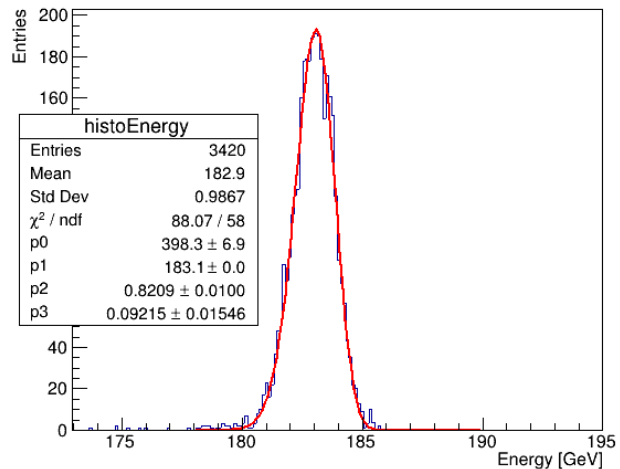
histo_100GeV



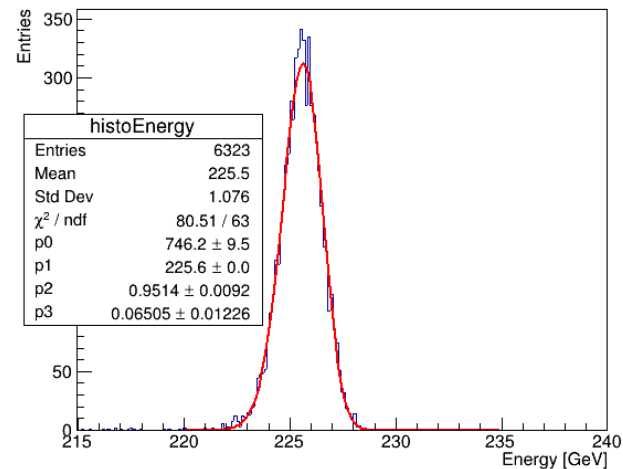
histo_150GeV



histo_200GeV

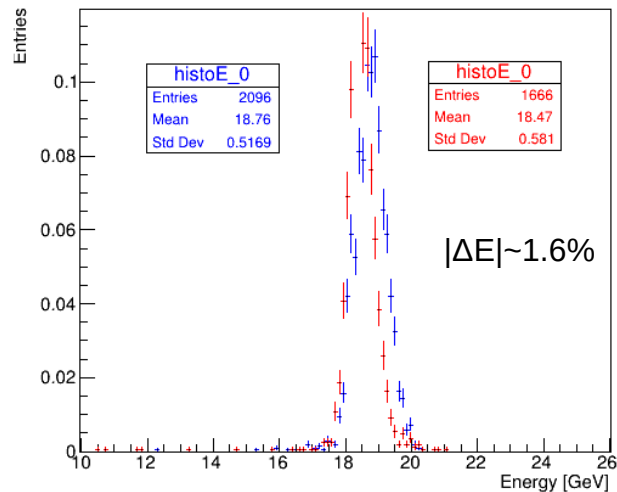


histo_250GeV

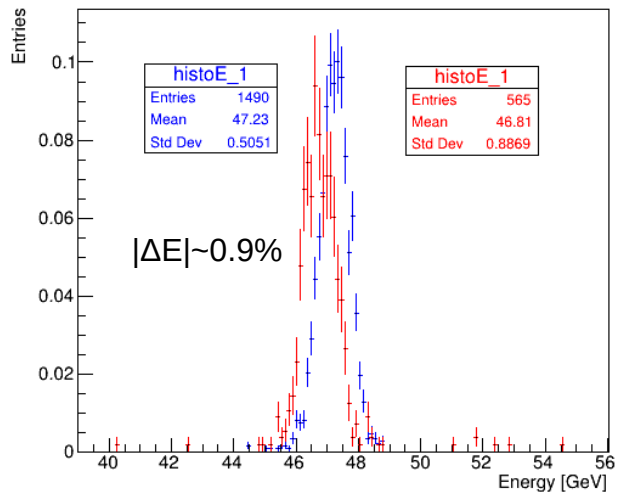


Energy releases histograms – Data vs MC

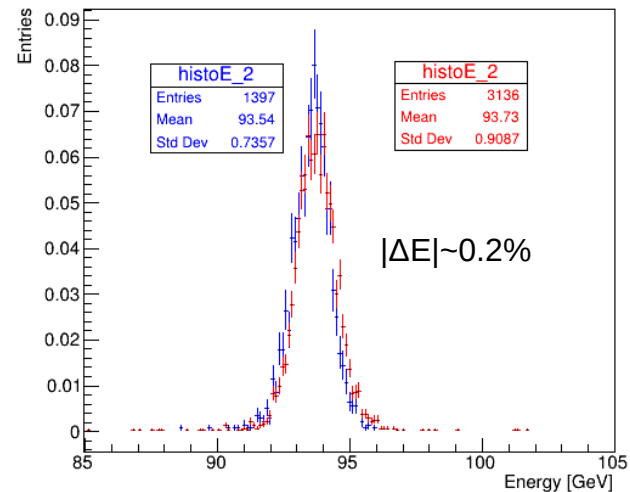
histo_20GeV



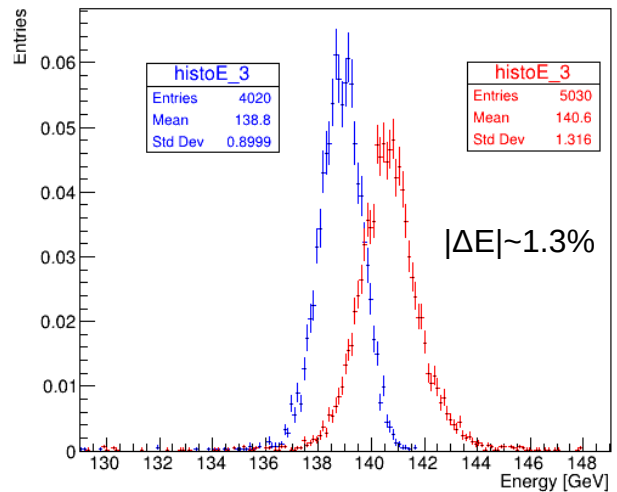
histo_30GeV



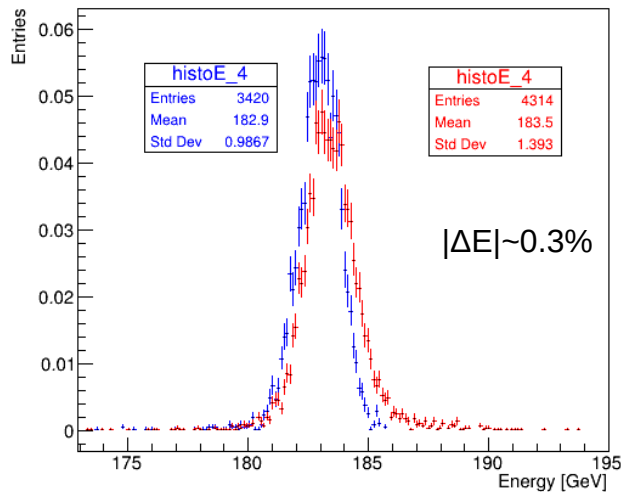
histo_100GeV



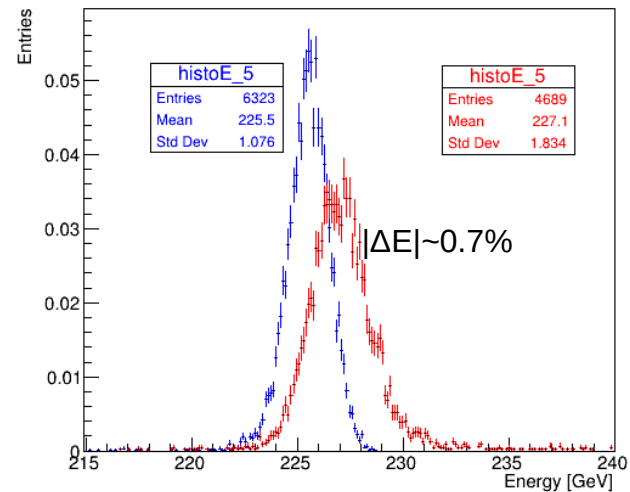
histo_150GeV



histo_200GeV



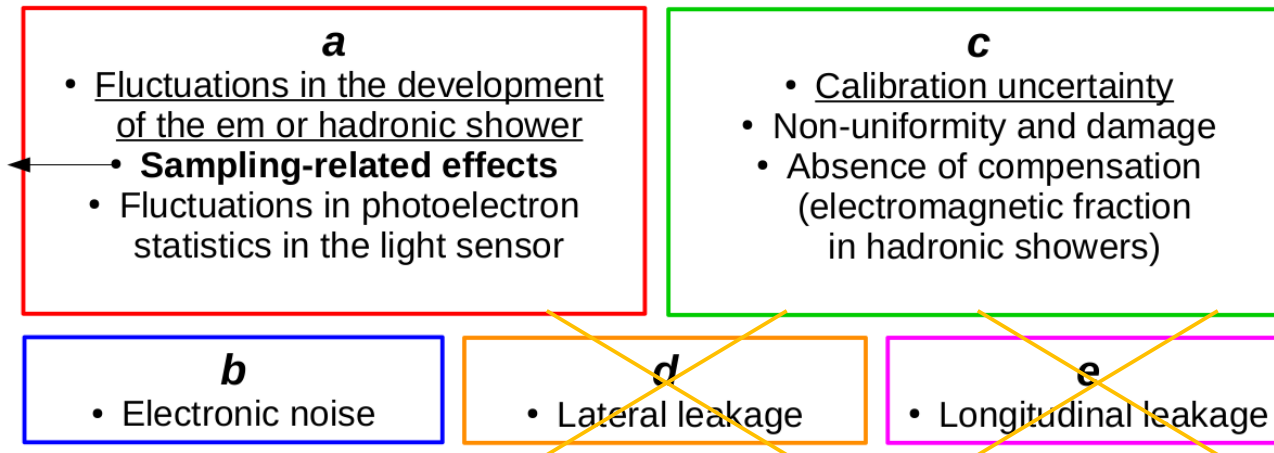
histo_250GeV



Energy resolution estimation

$$\frac{\sigma_E}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c \left[\oplus \frac{d}{\sqrt[4]{E}} \oplus e \ln(E) \right]$$

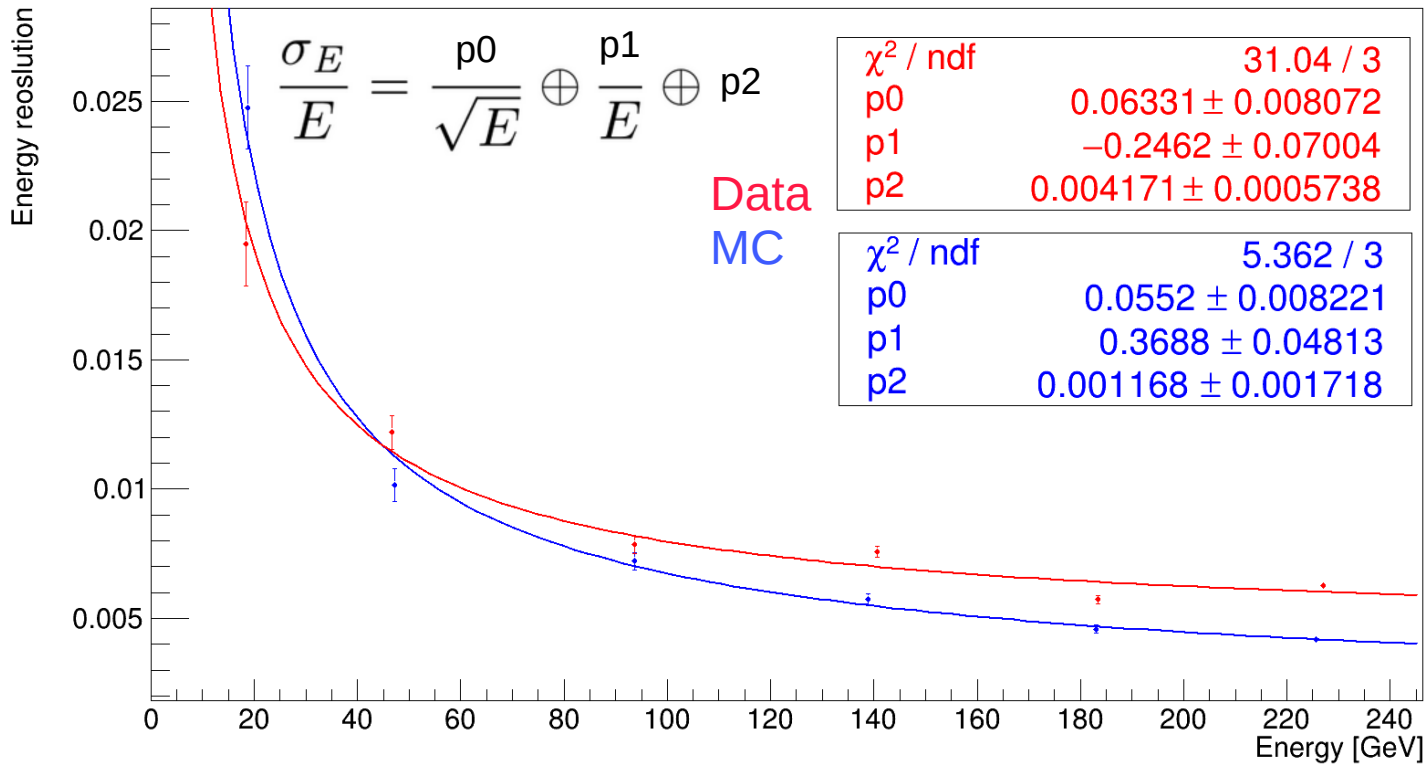
\oplus indicates the quadrature sum



Thank you Eugenio!

Energy resolution – Data vs MC

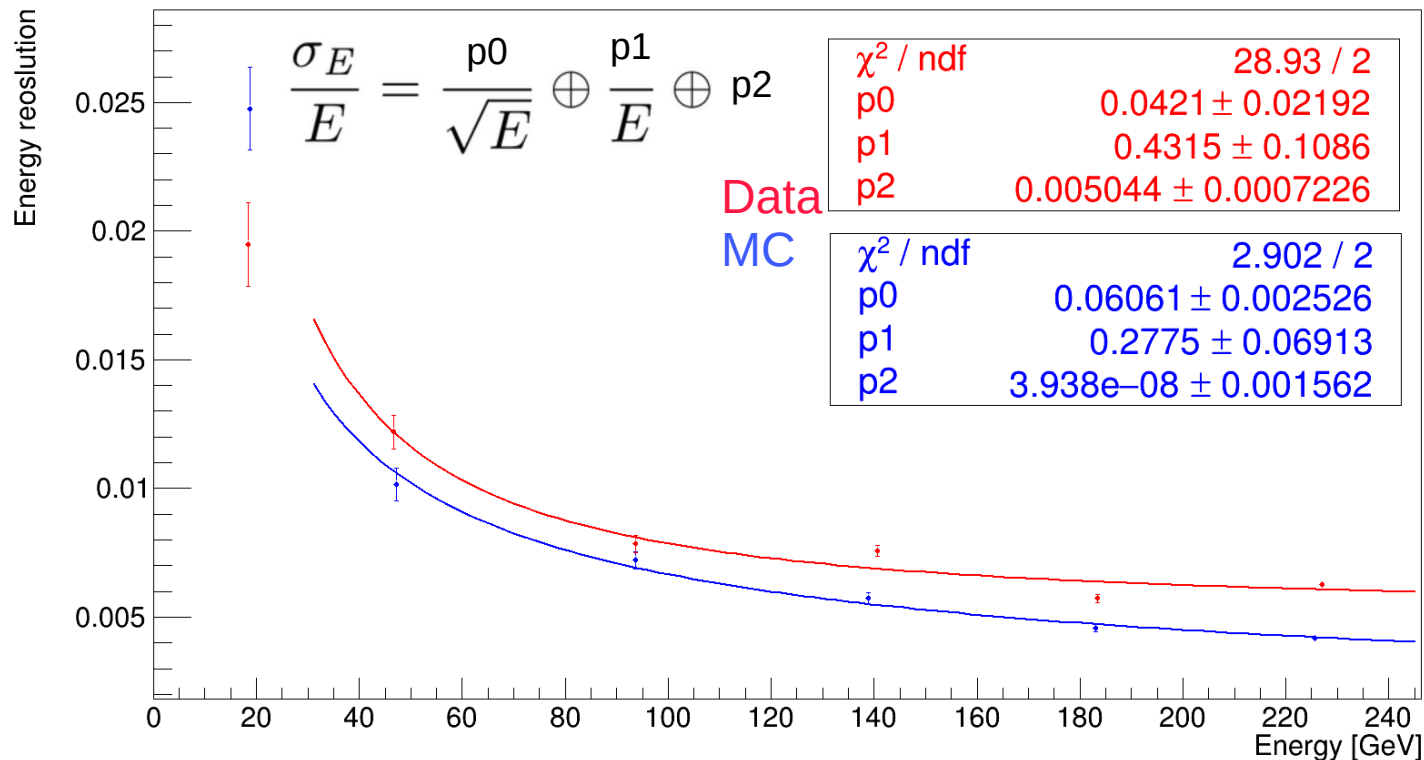
energy resolution graph confidence level



- (p2) Calibration uncertainty term bigger in real data (as expected)
- (p0) similar stochastic term: shower fluctuations and sampling effects (simulations seems quite good!)
- (p1) Electronic noise effect bigger in simulations than in data (over estimated in digitization or other effects?)

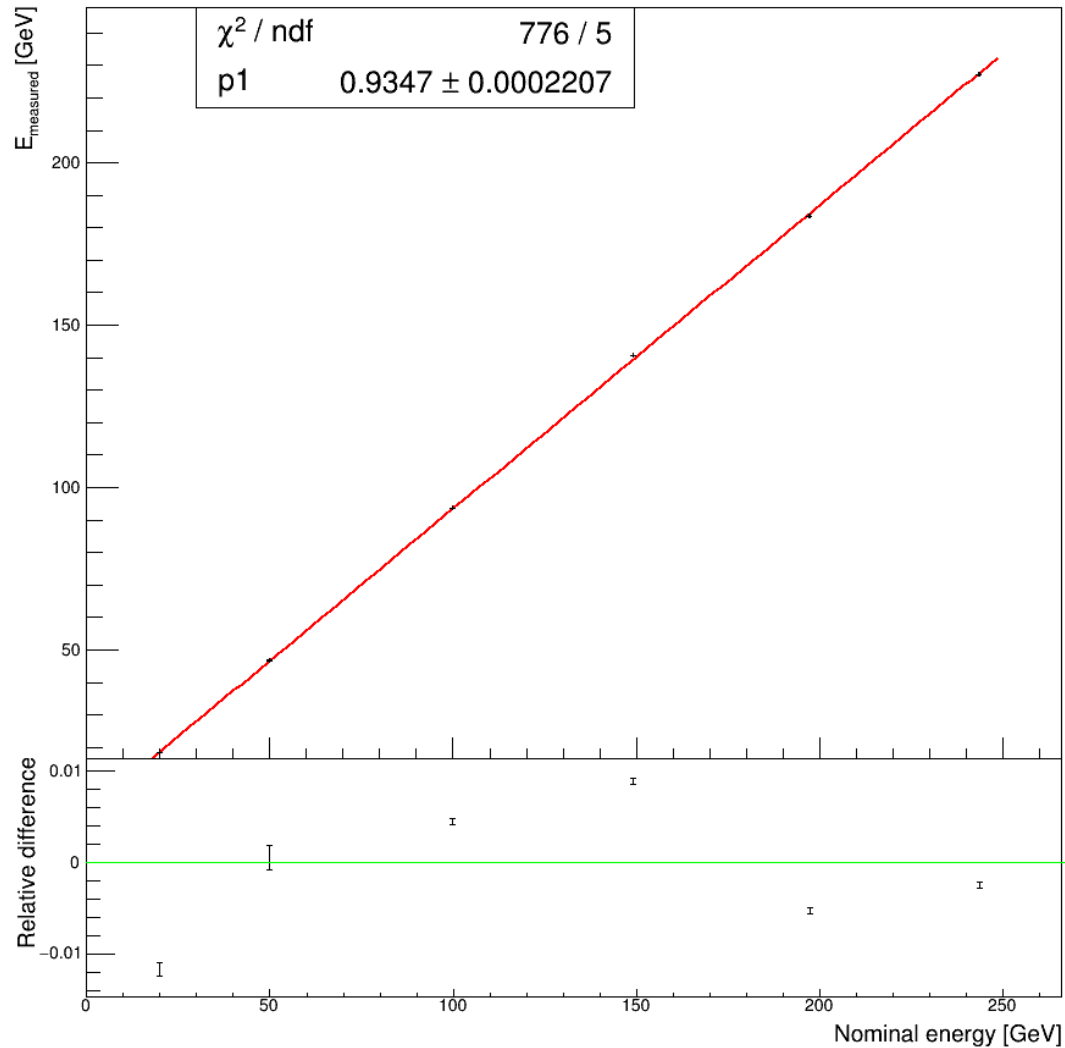
Energy resolution – Data vs MC excluding 20 GeV point

energy resolution graph confidence level



- (p2) Calibration uncertainty term present in real data and not in simulation (as expected)
- (p1) Electronic noise effect bigger in real data (under estimated in simulations?)
- (p0) stochastic term: shower fluctuations and sampling effects bigger in simulations (since electronics noise term is smaller?)

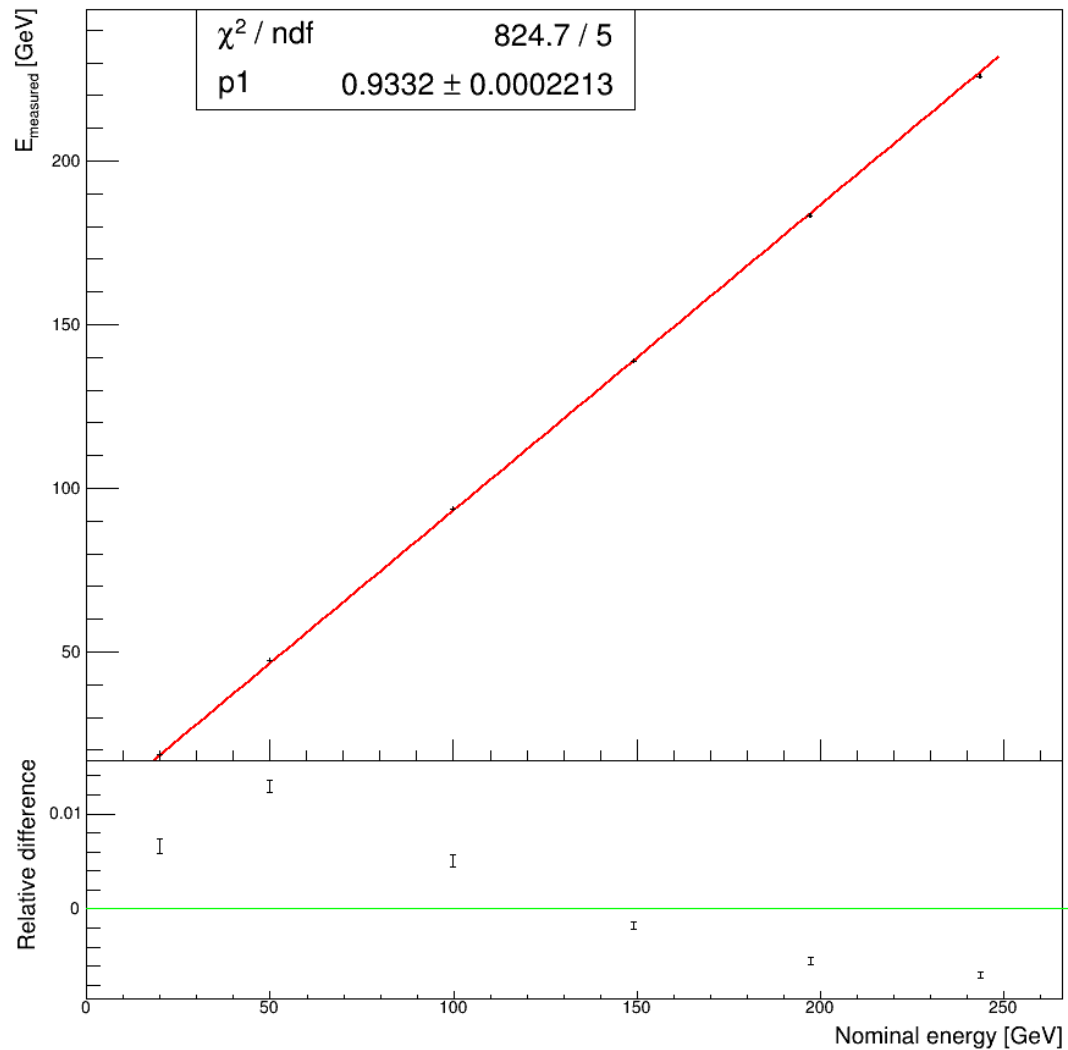
linearityGraph



Energy linearity - Data

Non linearity less than ~1%

linearityGraph

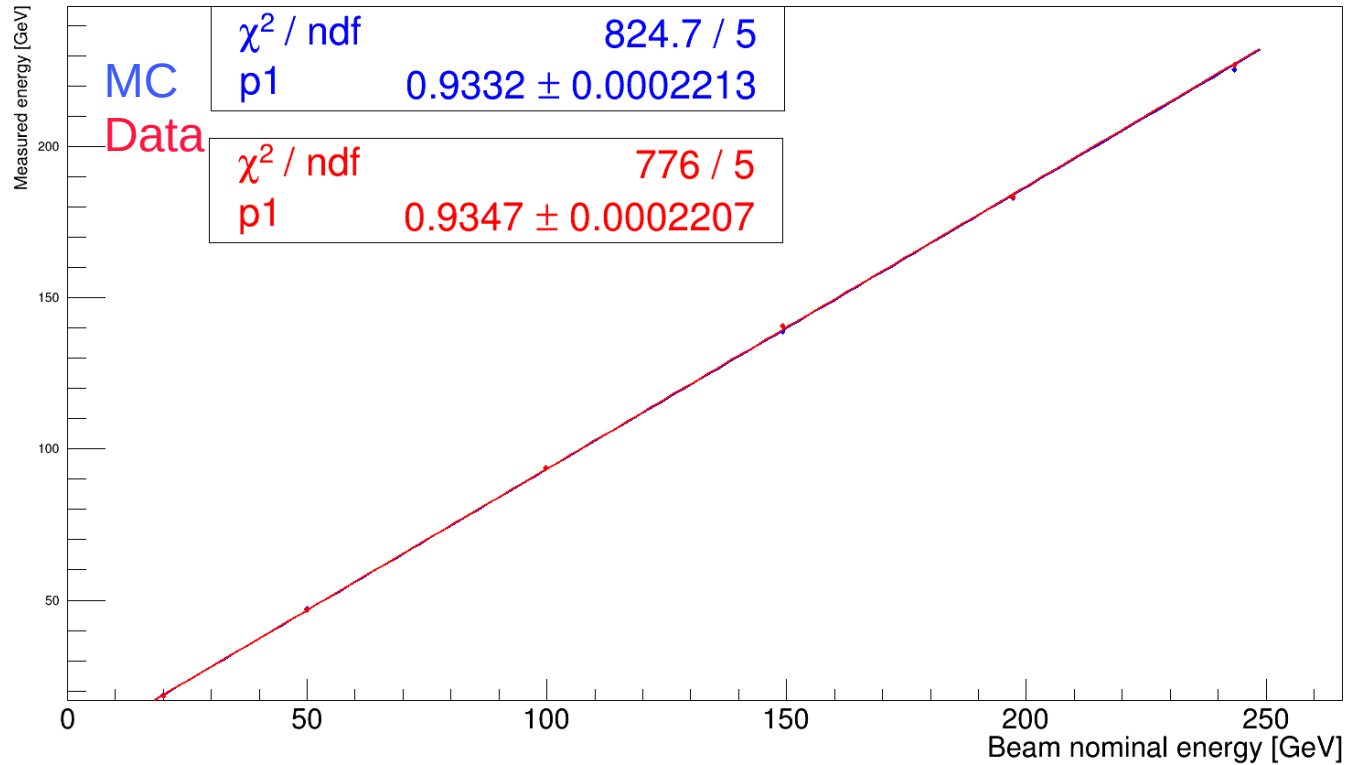


Energy linearity - MC

Non linearity less than ~1%

Energy linearity – Data vs MC

linearityGraph

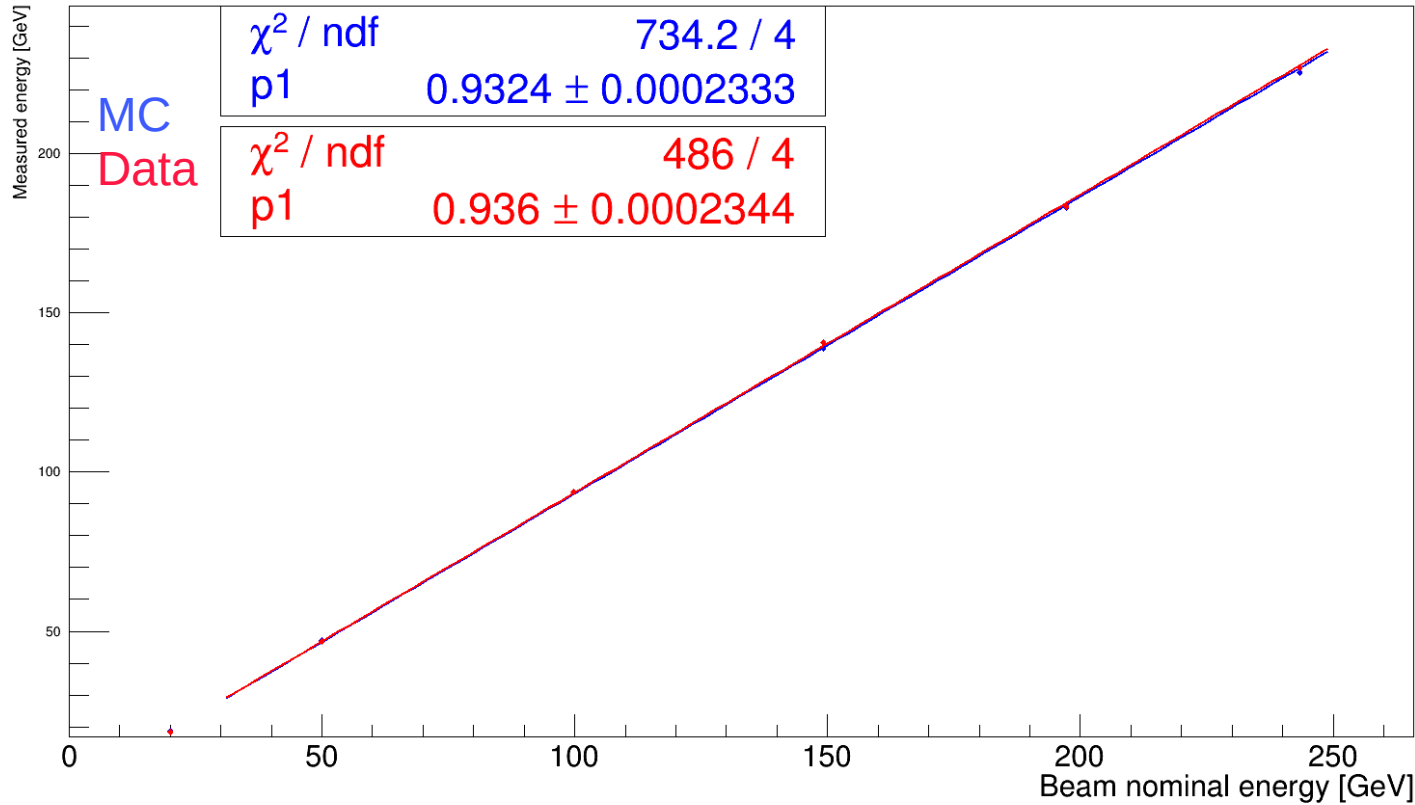


p0 = 0 forced

Relative difference of
p1 ~0.16%

Energy linearity – Data vs MC excluding 20 GeV point

linearityGraph



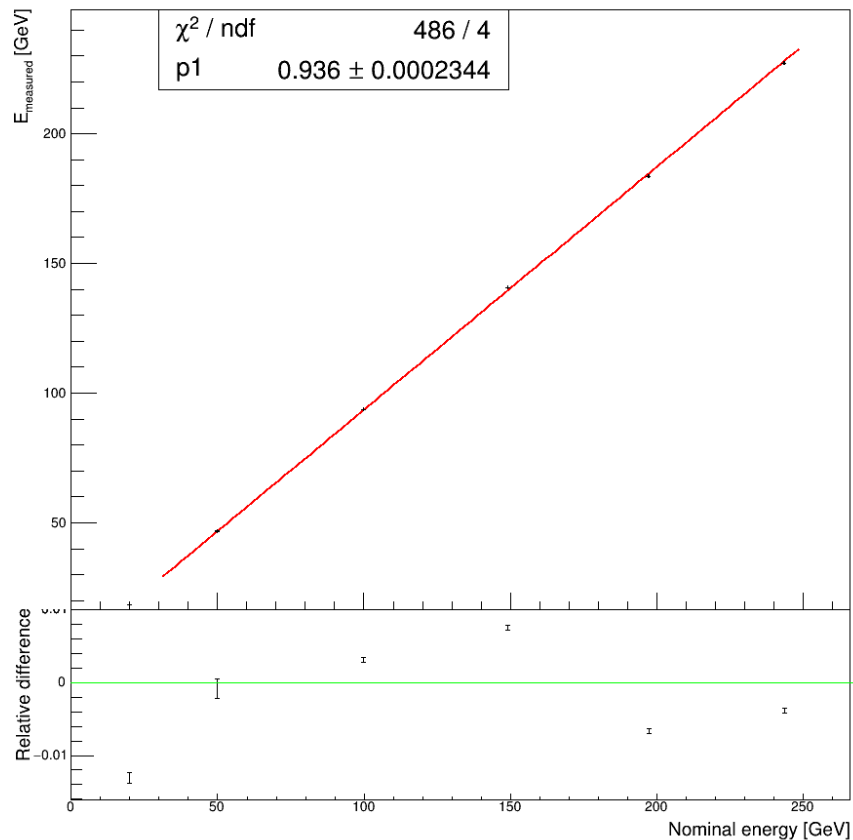
p0 = 0 forced

Relative difference of
p1 ~0.4%

Energy linearity – excluding 20 GeV point

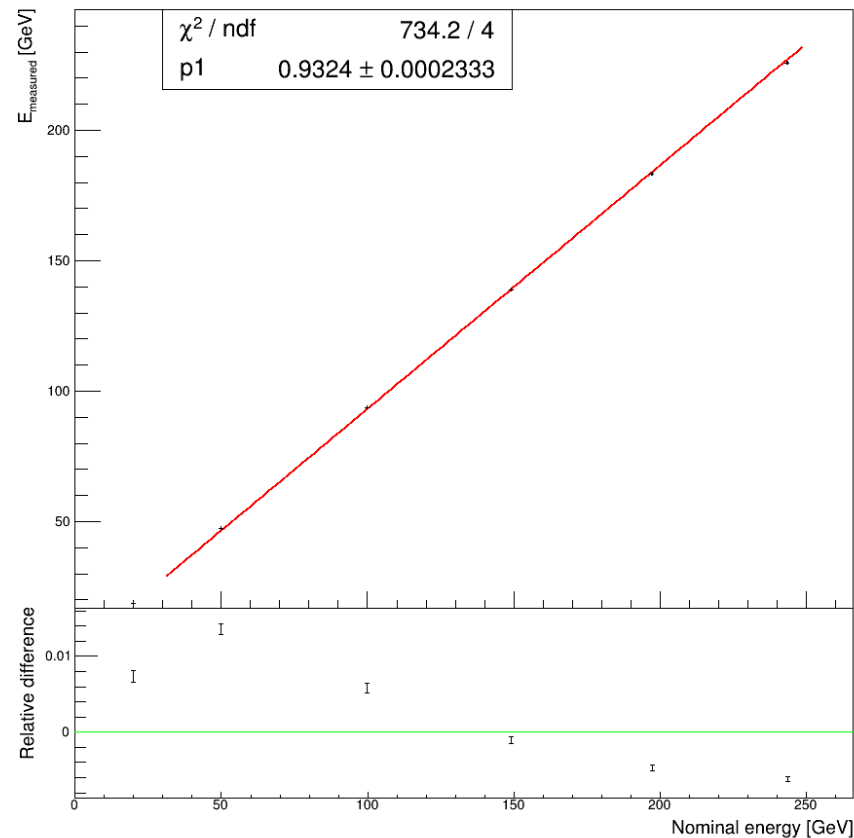
Real data

linearityGraph



Simulations

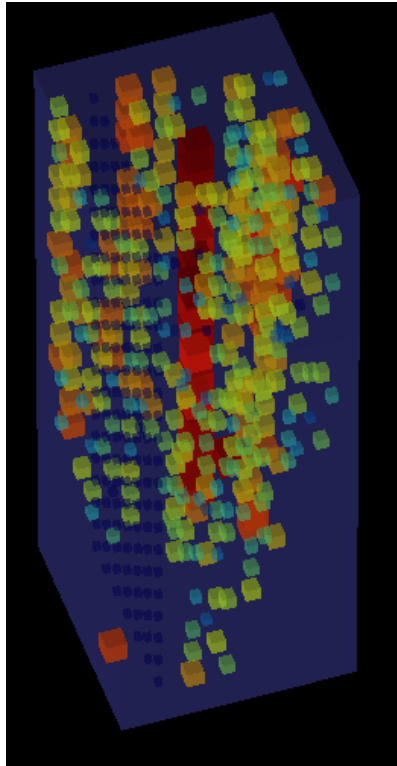
linearityGraph



Not considered effects

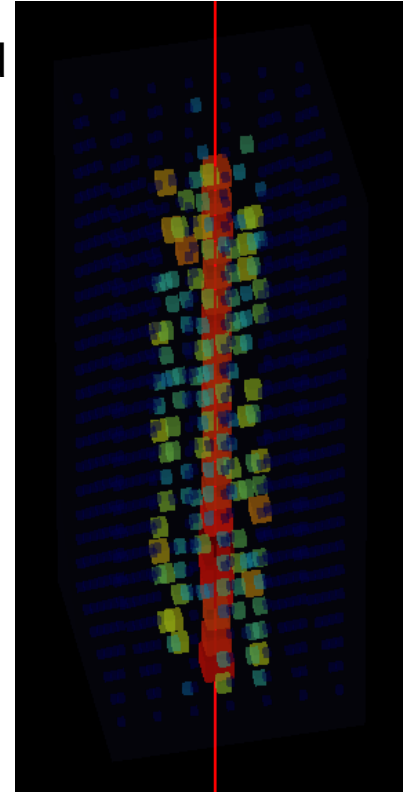
- Geometry
 - Slightly different density of the crystals
 - Uncertainty on material budget between Calo and beam pipe
 - Uncertainty on Calo inclination respect to beam
- Beam
 - Simulated uniform profile of beam
 - Beam divergence only along y axis
 - Uncertainty on beam energy?
 - Hadron contamination
- Other effects
 - Gain jump effect assumed equal for all the channels for all the energies
 - Calibration uncertainty
 - Effect of different signal due to “generation point” of scintillation photons in the crystal (Chinese article)
 - Physics list used in simulation
 - Quenching effect (seems to have no impact on energy resolution from Paolo’s preliminary studies)
 - Noise from pedestal events
 - Pedestal shift correction effect on energy resolution neglected
 - Reliability of SCD tracks

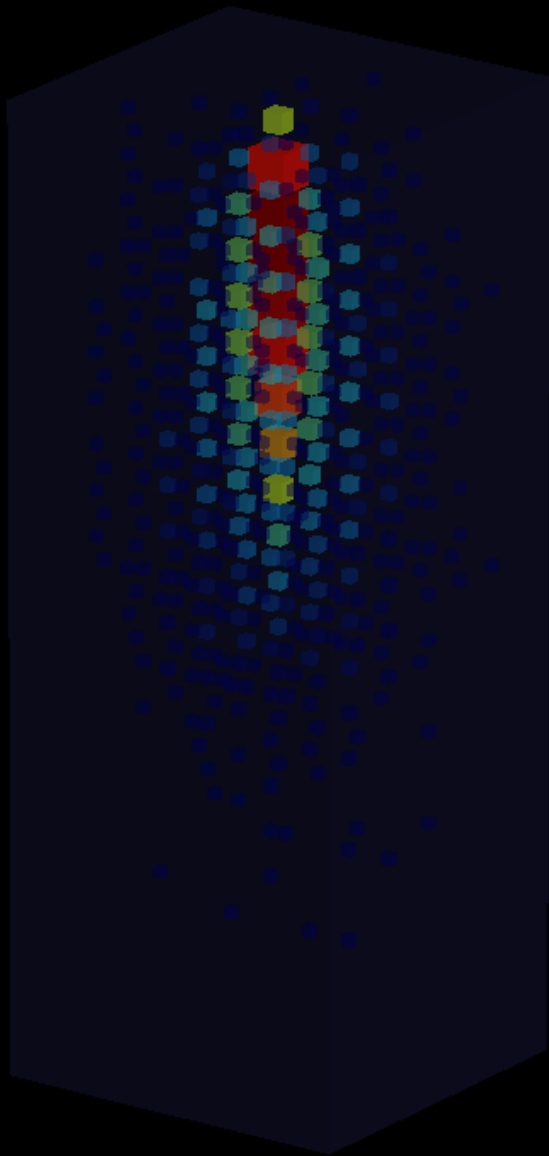
Noise from pedestal events....



Real
Muon

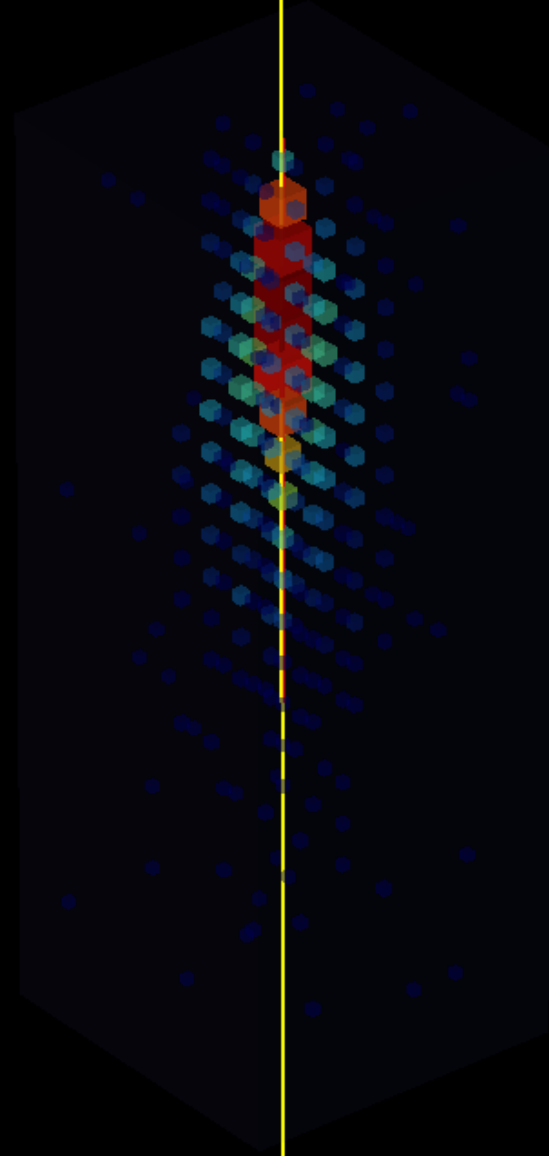
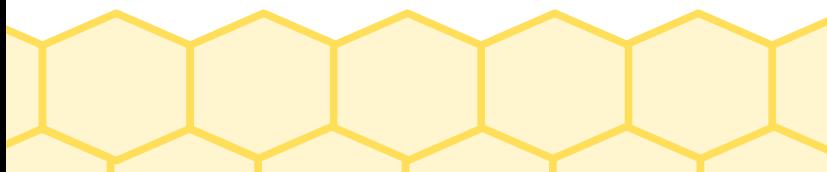
Simulated and
digitized

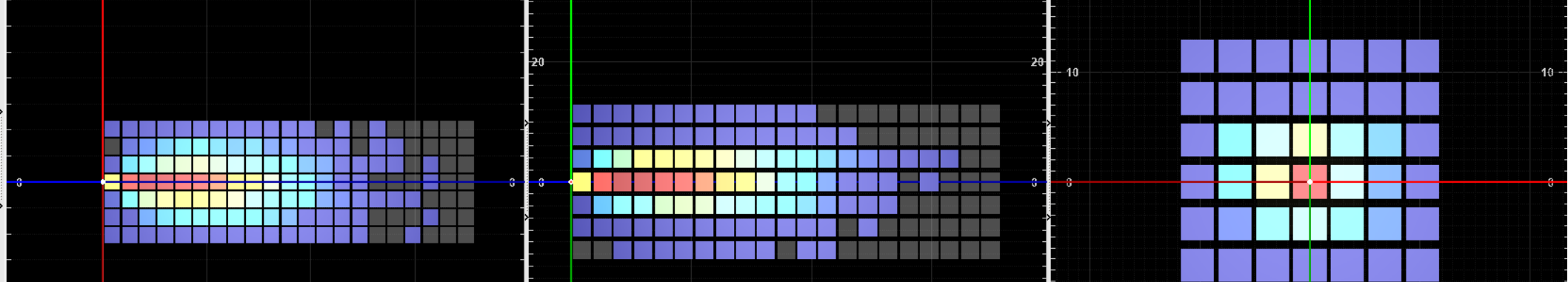




Real 250 GeV
electron

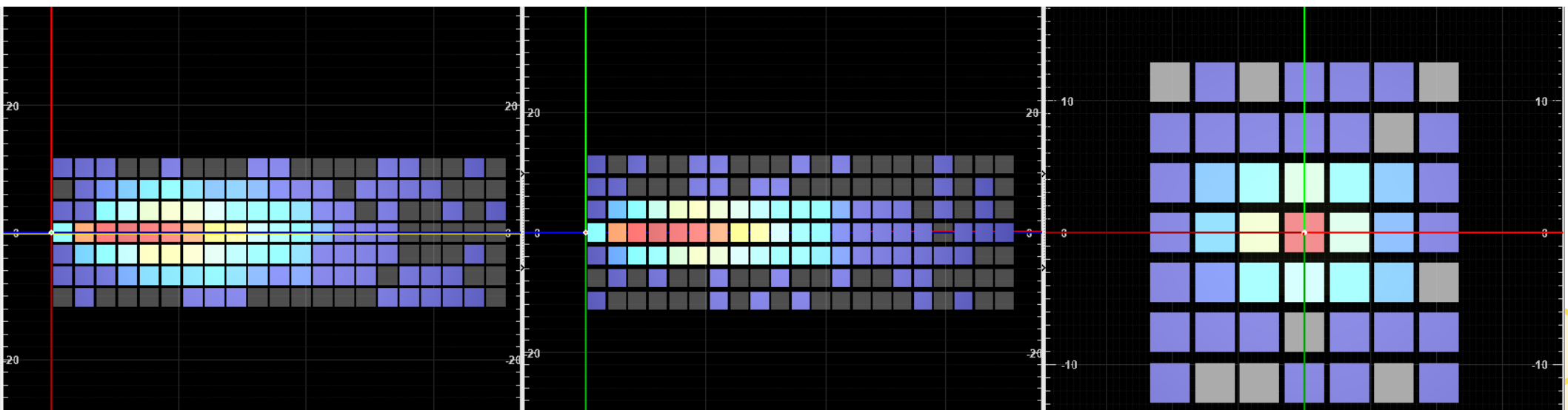
Simulated 250
GeV electron





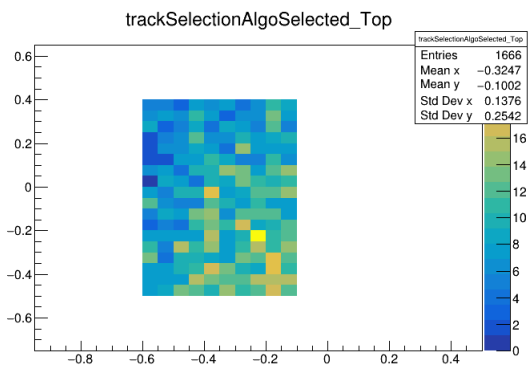
Real 250 GeV electron

Simulated 250 GeV electron

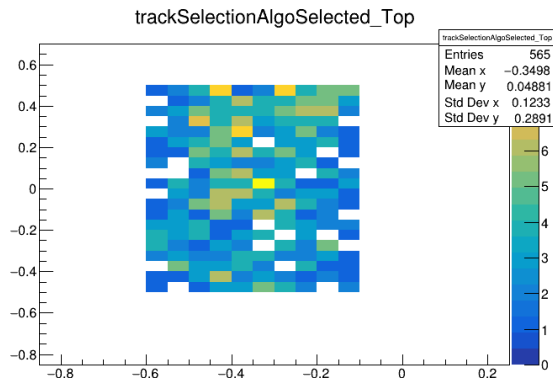


Beam profile

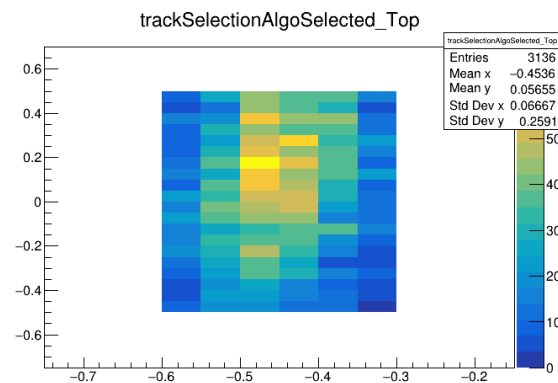
20 GeV



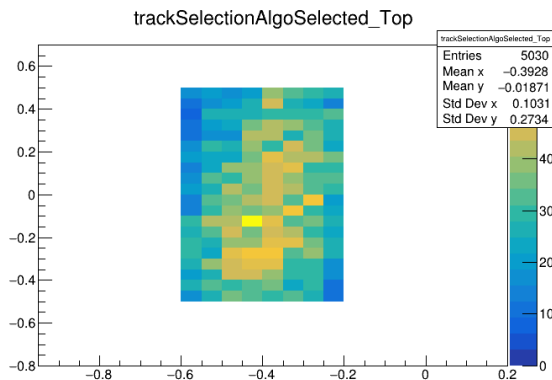
50 GeV



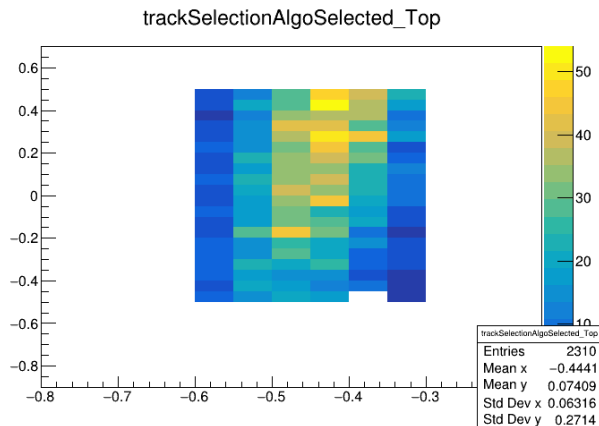
100 GeV



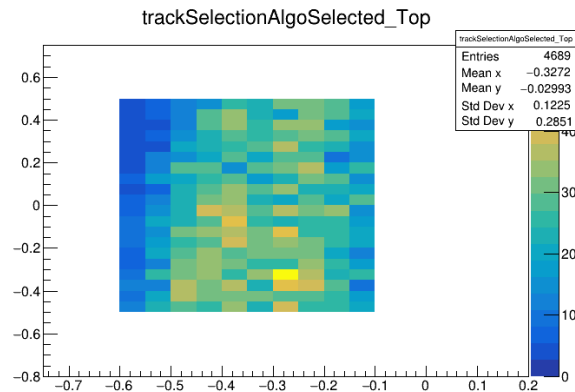
150 GeV



200 GeV

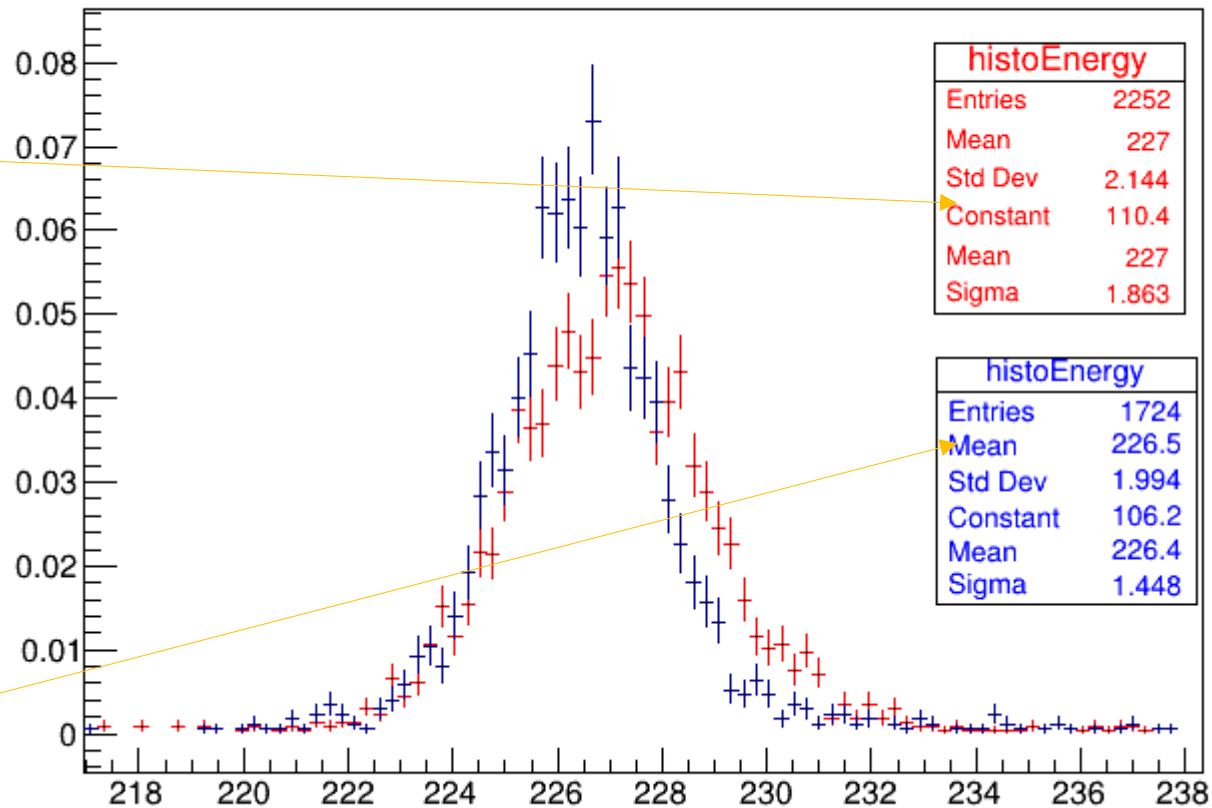
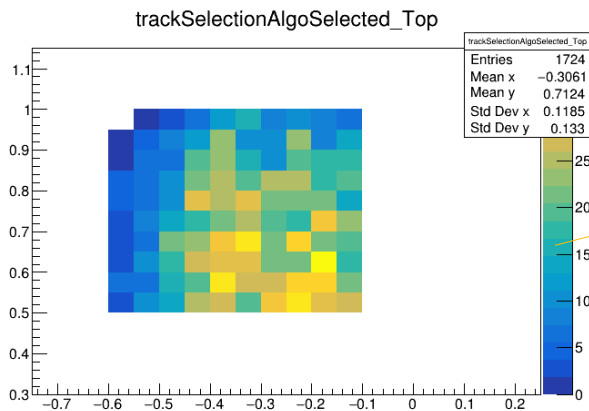
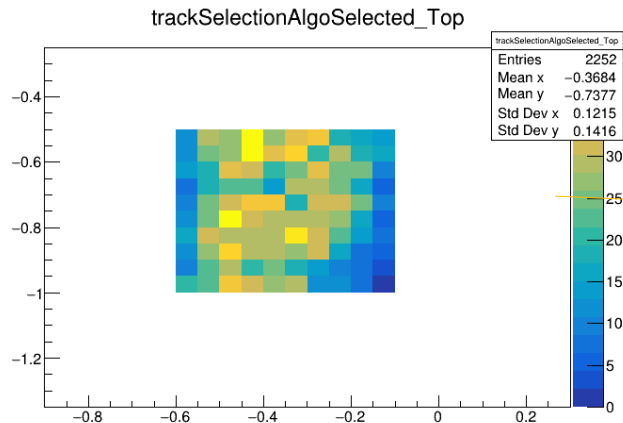


250 GeV

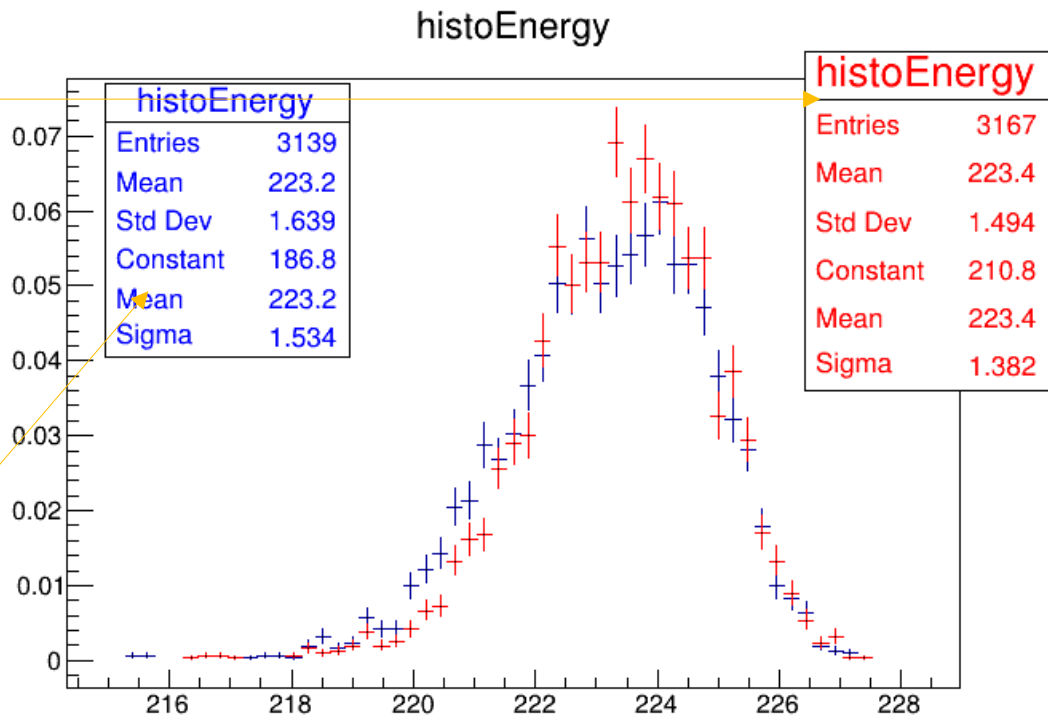
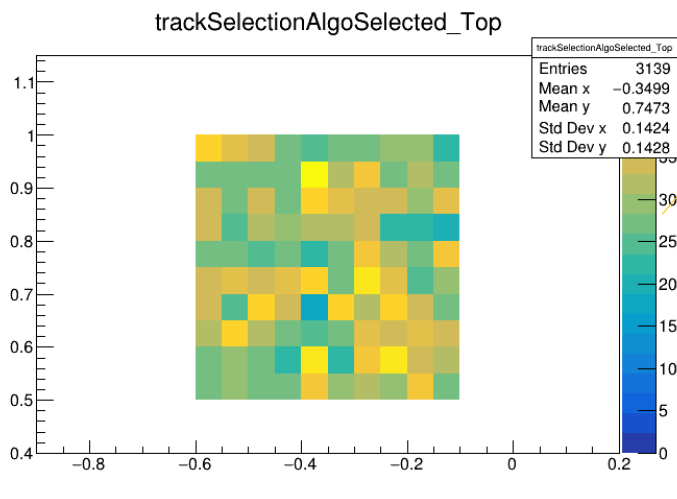
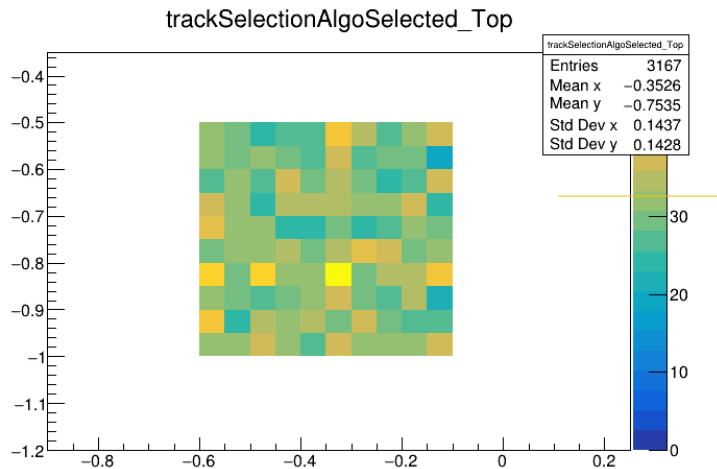


Signal in function of particle incidence on the crystal - Data

histoEnergy



Signal in function of particle incidence on the crystal - MC



Beam energy

- Energy loss due to synchrotron emission (Gruppen):

The energy loss per turn in a circular accelerator is

$$\Delta E = P \cdot \frac{2\pi r}{c} = \frac{e^2 \gamma^4}{3\epsilon_0 r} = 8.85 \cdot 10^{-5} \frac{E^4 [\text{GeV}^4]}{r [\text{m}]} \text{ GeV} . \quad (1.88)$$



$$\frac{DE}{E^4} = k$$

Original E	E after beam line	K
20	20	<10 ⁻⁸
50	49.99	1.60*10 ⁻⁹
100	99.83	1.70*10 ⁻⁹
150	149.12	1.74*10 ⁻⁹
200	197.27	1.71*10 ⁻⁹
250	243.48	1.67*10 ⁻⁹

Effect of “generation point” of photons in the crystal

Energy resolution for a
21x21x21 HERD calorimeter
with isotropic particle electron
gun
CALO read-out by WLSFs

