

$|V_{cb}|$ from inclusive tag $B \rightarrow D\ell\nu$

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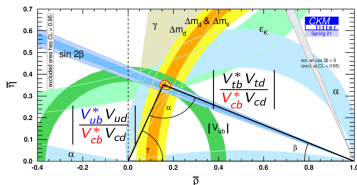
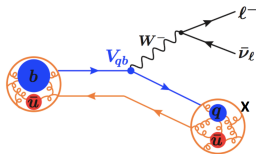
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Status of $|V_{cb}|$ and $|V_{ub}|$



- $|V_{cb}|$ and $|V_{ub}|$ constrain the SM through unitarity triangle
- Important input in SM predictions
- Semileptonic B decays are studied to measure $|V_{cb}|$ and $|V_{ub}|$
 - ▶ Factorizable leptonic and hadronic currents

■ **Exclusive:** Reconstruct specific final states

■ *i.e.:*

- ▶ $|V_{cb}| : B \rightarrow D^{(*)} \ell \nu$
- ▶ $|V_{ub}| : B \rightarrow \pi \ell \nu$

■ Theory input: Lattice QCD (LQCD)

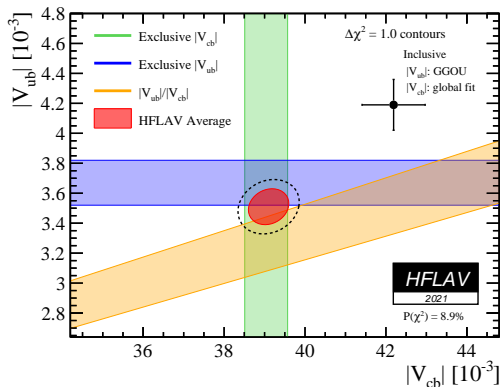
■ **Inclusive:** Measure general $X \ell \nu$ decay

■ *i.e.:*

- ▶ $|V_{cb}| : B \rightarrow X_c \ell \nu$
- ▶ $|V_{ub}| : B \rightarrow X_u \ell \nu$

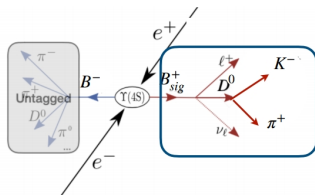
■ Theory input: Heavy Quark Expansion Theory (HQET)

Status of $|V_{cb}|$ and $|V_{ub}|$



- $\sim 3\sigma$ discrepancy between inclusive $|V_{cb}|$ and $|V_{ub}|$ measurements
- Limiting factor in precision flavor physics

Analysis overview



- Untagged/Inclusive tag analysis of $B \rightarrow D\ell\nu$ final state
- Extract differential decay rates in bins of w to measure V_{cb}
- Modes:
 - ▶ Charged B mode $B^- \rightarrow D^0 \ell^- \bar{\nu}_{\ell}$ with $D^0 \rightarrow K^- \pi^+$
 - ▶ Neutral B mode $B^0 \rightarrow D^- \ell^+ \nu_{\ell}$ with $D^- \rightarrow K^+ \pi^- \pi^-$
- Parameters of interest:
 - ▶ Differential decay rates in bins of momentum transfer $\Delta\Gamma/\Delta w$
 - ▶ Absolute branching ratios $\mathcal{B}(B \rightarrow D \ell \bar{\nu}_{\ell})$
 - ▶ V_{cb} , BGL form factor parameters
 - ▶ Lepton universality $R_{e/\mu}$

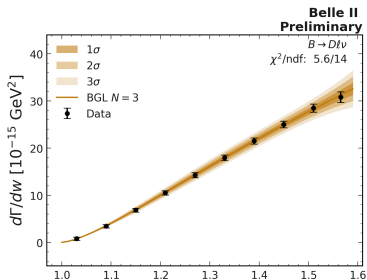
- From measuring signal yields in bins of w , calculate differential decay rates
- Differential decay rate:

$$\frac{d\Gamma}{dw} (B \rightarrow D\ell\nu_\ell) = \frac{G_F^2}{48\pi^3} (m_B + m_D)^2 m_D^3 \eta_{EW} |V_{cb}|^2 (w^2 - 1)^{3/2} \mathcal{G}(w)^2$$

- with the form factor $\mathcal{G}(w)$

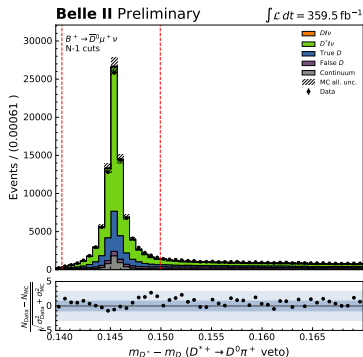
- with the kinematic variable $w = v_B \cdot v_D = \frac{p_B \cdot p_D}{m_B m_D} = \frac{m_B^2 + m_D^2 - q^2}{2m_B m_D}$

- $w_{min} = 1$: zero-recoil point, q_{max}^2 , D at rest in B rest frame



Reconstructing $B \rightarrow D \ell \bar{\nu}_\ell$

- Analyze $B^+ \rightarrow \bar{D}^0 \ell^+ \nu_\ell$ and $B^0 \rightarrow D^- \ell^+ \nu_\ell$
- Final state particles ℓ and hadrons from $D^{0(+)} \rightarrow K^- \pi^+ (\pi^+)$
- Dominant background from $B \rightarrow D^* \ell \nu$ decays
 - Explicit vetoes
- Vertex fitting full decay chain to suppress combinatorial background

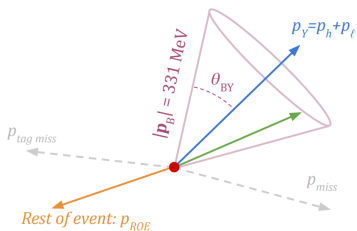


- Suppress backgrounds by simultaneously optimizing rectangular selections using simulated annealing
- Kinematic variables
- Event shape variables
- rest-of-event variables

Variable	Charged B	Neutral B
KSF_{hso}^{02}	[-0.371, 0.485]	[-0.361, 0.457]
E_Y^* [GeV]	[3.247, 5.169]	[3.340, 5.174]
p_{miss}^* [GeV]	[0.698, 4.345]	[0.745, 4.389]
m_{ROE} [GeV]	[0.510, 7.967]	[0.756, 6.771]
$\cos \theta_{\ell, W}$	[-0.821, 0.553]	[-0.828, 0.866]
p_{ROE} [GeV]	[0.069, 2.858]	[0.091, 2.738]
$\theta_{D, \ell}$	[0.120, 3.137]	[0.339, 3.136]

Reconstruction of kinematic variable q^2

- How to reconstruct kinematic variable w in untagged approach?
- Need to know direction of signal B meson
- Novel approach** : (extension of BaBar's diamond frame [Phys. Rev. D 74, 092004])



- Calculate $\cos \theta_{BY}$ from reconstructed D and ℓ
- $B\bar{B}$ production: angularly distributed according to $\sin^2 \theta_B$
- Sum up left-over tracks and clusters as Rest-of-Event (ROE) and calculate momentum p_{ROE}^*
- Likely direction on $\cos \theta_{BY}$ cone: Back-to-back with ROE

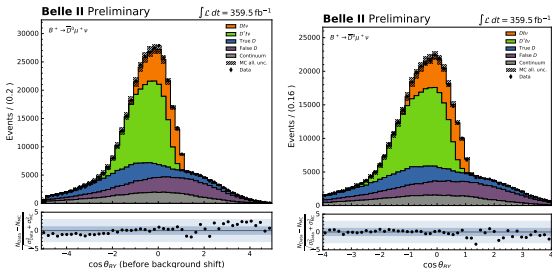
- Weighted average over 10 uniformly distributed vectors on cone
- Each vector has weight combining ROE and kinematic information:

$$\frac{1}{2}(1 - \hat{p}_{ROE} \cdot \hat{p}_B) \sin^2 \theta_B$$

↪ Improved resolution compared to previous methods!

Corrections to MC

- Use sidebands and control samples to calibrate backgrounds
- Important to have good Data-MC agreement in fitting variable $\cos\theta_{BY}$
- Calibration samples including sideband m_D sideband, wrong charge combination reconstruction, off-resonance data
- Calibrate correction on sidebands and apply to nominal reconstruction

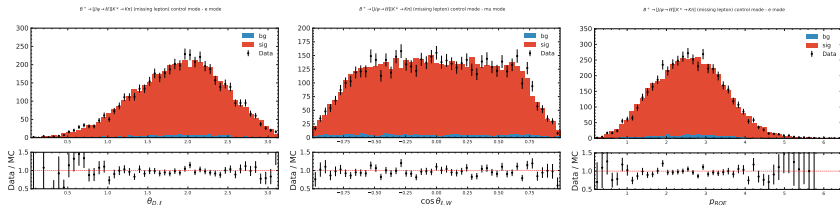


- Additionally correct for known effects:

- ▶ ParticleID
- ▶ Track momentum scale
- ▶ Decay file branching fractions
- ▶ $D^{(*)}\ell\nu$ form factors
- ▶ etc.

Checking signal distribution with control samples

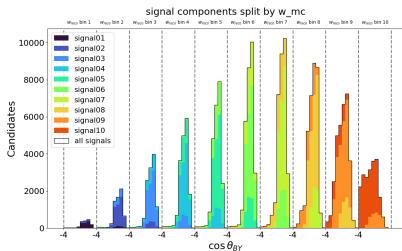
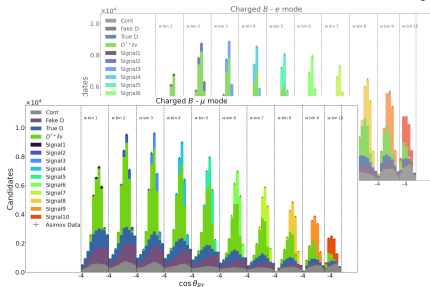
- To make sure signal distributions are well understood in all selection variables:
 - ▶ Reconstruct control samples that look similar to signal and have high purity
- Fully hadronic:
 - ▶ $B \rightarrow D\pi$: Treat π as lepton
- Missing energy/momentum through partial reconstruction:
 - ▶ $B \rightarrow [D^* \rightarrow D\pi_{slow}]\pi$: Treat slow π as missing
 - ▶ $B \rightarrow [J/\psi \rightarrow \ell\ell][K^* \rightarrow K^-\pi^+]\pi$: Treat second ℓ as missing



- Good Data/MC agreement in variables
- Correct for disagreement in vertex fit probability and assign systematic

Signal extraction

- Simultaneously fit signal yields in 10 windows of w for each of 4 decay modes
- Binned template fit using `pyhf`
- Fitting variable: $\cos\theta_{BY}$

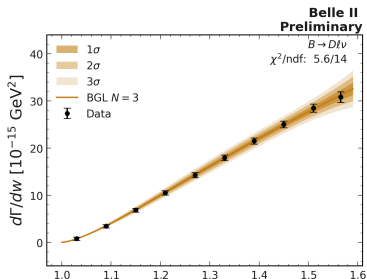


- Novel approach: directly unfold migration effects between w bins in fit
- Include all systematic uncertainties into the fit as nuisance parameters
 - Directly maps into correlation matrix between signal yields

Form factor fit and V_{cb} measurement

- From fitted yields we can calculate $\Delta\Gamma/\Delta w$
- Average over all 4 modes
- Fit form factor to differential decay rates (BGL/BCL parameterization)
- Include data from Lattice QCD in fit as nuisance parameter

$V_{cb,BGL}$	
Stat. Error	0.74%
MC Stat. Error	0.37%
N_{bb}	0.77%
f_{00}/f_{+-}	0.04%
$\mathcal{B}(D \rightarrow K\pi(\pi))$	0.45%
Selection	0.25%
$\mathcal{B}(B \rightarrow X_c \ell \nu)$	0.16%
LeptonID	0.14%
KaonID	0.45%
Tracking efficiency	0.50%
$B \rightarrow D\ell\nu$ form factor	0.79%
$B \rightarrow D^*\ell\nu$ form factor	0.11%
$\cos\theta_{BY}$ background modelling	0.13%
w background modelling	0.46%
$\tau_{B^{0/\pm}}$	0.10%
Total systematic	1.50%
Theory	1.24%
Total	2.07%



- Currently pre-unblinding
- Estimate impact of systematic uncertainty sources by drawing toys from nuisance parameters
- Estimated $\sim 2.1\%$ sensitivity \rightarrow more sensitive than Belle $D\ell\nu$ measurement ($\sim 2.7\%$)

- Long-standing tension between inclusive and exclusive determinations of V_{cb}
- Analysis of untagged $B^- \rightarrow D^0 \ell^- \bar{\nu}_\ell$ events to measure V_{cb} exclusively
- New analysis techniques to optimize selections and reconstruct kinematic variables
- Define control samples to validate signal and background distributions
- Projected total uncertainty on V_{cb} : 2%
- Currently in review committee stage

Thank you!