







Characterisation of charm-quark fragmentation via azimuthal correlations of charm hadrons and charged particles

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Heavy-flavour physics

Heavy-flavour (HF) quark mass of the order of \sim GeV/ c^2 \rightarrow mainly produced in hard-scattering processes \rightarrow thermal production/annihilation negligible

- In Pb-Pb collisions, produced **before** the QGP formation $\tau_{\text{OGP}} \sim 1 \text{ fm}/c$ (production timescale: $\Delta \tau \sim 1/Q \sim 1/2m$)
- \rightarrow Full evolution of the system experienced



Measurement of HF hadrons: access to charm and beauty quarks dynamics





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Trom heavy-quark production to final state particles



Azimuthal correlations between HF particles





Azimuthal correlations of HF and charged particles





Investigation of heavy-flavour quark fragmentation

The heavy-flavour jet is characterised with:

- \rightarrow Angular opening
- \rightarrow Multiplicity of particles
- \rightarrow Momentum distribution among its constituents



Validation of parton-shower models and Monte Carlo generators



Possible modifications induced in the charm-jet by a different hadronisation mechanisms



Enhanced $\Lambda_c^{\dagger}/D^{\circ}$ production ratio in pp







Enhanced Λ_c^{\dagger}/D^o production ratio in pp







Charm-tagged jets

 $\rightarrow\,$ Probe the fragmentation of charm quarks into charm mesons and baryons



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Charm hadron - charged particles azimuthal correlation analyses

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A Large Ion Collider Experiment



Two trigger charm hadron cases are analysed:



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Hadron	Mass (MeV/c)	$c\tau$ (μ m)	Decay (BR)
\mathbf{D}^{0}	1864.84 ± 0.05	123	$K^{-}\pi^{+}((3.95\pm0.03)\%)$
$\Lambda_{\rm c}^+$	$2286.46 {\pm} 0.14$	60.4	$pK^{-}\pi^{+}$ ((6.26±0.29) %)

Identification performed through variables related to → the displaced decay topology

 \rightarrow daughter PID information in TPC and TOF detectors

Associated particles

Only "primary" particles ¹ considered:

- \rightarrow | η | < 0.8 (Barrel acceptance)
- \rightarrow satisfying tracking requirements (ITS, TPC)

 $\rightarrow DCA_{xy,z} < 1 \text{ cm}$

2.45

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Building ($\Delta \varphi$, $\Delta \eta$) angular correlation distributions



The angular separation $(\Delta \varphi, \Delta \mathbf{\eta})$ between each candidate and charged associated particles is stored in 2D angular correlation distributions.

Each correlation pair is weighted by:





Angular correlation distributions ($\Delta \varphi_{,} \Delta \eta$) are then built in separate transverse momentum intervals.

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Event-mixing & background subtraction

A M_{inv} based analysis is performed to extrapolate signal correlation distributions

 \rightarrow The Evt. Mixing correction is applied considering events with similar features (pool) in terms of event multiplicity, and z_{vtv} position.



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 $3 < p_{(D^0)}$

SIGNAL

REGION

pp, √s = 13 TeV

 $D^0 \rightarrow K^{-}\pi^+$

(and charge coni

This thesis

MeV/

Counts per 35

30

25

20

Secondary particle contamination

Stable particles surviving **DCA** cuts, generally coming from:

- interaction of primary tracks with the **detector material**
- products of **weak decays** (excluding HF fragments)





 $\Delta \phi$ -distributions computed considering only primaries and associated inclusive sample to determine the $\Delta \phi$ -modulation

The **moving average** $(\Delta \varphi)$ is considered as a bin-by-bin modulation of the azimuthal correlation distribution.



Beauty feed-down subtraction



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Beauty bias in azimuthal correlations

From MC simulations:

- \rightarrow difference between generated and reconstructed level in $\Delta \varphi$ correlation distributions with **beauty-origin**
 - \fbox enhancement at $\Delta arphi$ ~ 0, followed by a depletion
 - → induced by **topological selections** on the non-prompt hadron (mainly $\cos \theta_{\rm P}$)





A $\Delta \varphi$ -dependent modulation around $\Delta \varphi \sim 0$, is therefore applied to the correlation distribution.





Fit of the azimuthal correlation distributions

 $\rightarrow D^0$ distributions averaged with D⁺ and D^{*} results

The fully corrected azimuthal correlation distribution are then fitted considering the <u>periodic</u> function:

 $\begin{array}{ll} \text{Baseline} & \text{Near-side} & \text{Away-side} \\ f(\Delta\varphi) = & a + \frac{Y_{\text{NS}} \times \beta}{2\alpha \, \Gamma(1/\beta)} \times e^{-\left(\frac{\Delta\varphi}{\alpha}\right)^{\beta}} + \frac{Y_{\text{AS}}}{\sqrt{2\pi}\sigma_{\text{AS}}} \times e^{-\frac{(\Delta\varphi-\pi)^2}{2\sigma_{\text{AS}}^2}} \end{array}$

Generalized Gaussian $\rightarrow \beta$ is fixed to Monte Carlo templates

The properties of the peaks are described by:

 \rightarrow Y_{NS'}, Y_{AS} are the per-trigger associated particle yields \rightarrow $\sigma_{_{NS'}}$, $\sigma_{_{AS}}$ the widths of the two peaks





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D-h near-side properties comparison with \sqrt{s}

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Near-Side: description of charm-jet constituents, their momentum and angular displacement wrt the trigger





With increasing p_{T}^{D} :

- ightarrow More energetic parton
 - ightarrow more phase space for other fragments
 - \rightarrow increasing yields
- \rightarrow Larger heavy-quark boost
 - \rightarrow more collimated shower
 - \rightarrow sharpening of the peak

No centre-of-mass energy dependence



D-h away-side properties comparison with \sqrt{s}



Away-Side provide description of the recoil-jet, not necessarily developed by a charm





As for the NS, with increasing p_T^{D} :

- \rightarrow More energetic parton
 - \rightarrow more phase space for other fragments
 - \rightarrow increasing yields
 - \rightarrow more collimated shower
 - \rightarrow sharpening of the peak





Near-side characterisation in MC predictions

Validation of charm-jet description by **Monte Carlo** generators

NS yields:

- Larger values at high- $p_{\tau}(D)$ by **POWHEG+PYTHIA8** \rightarrow than PYTHIA8 because of GS contribution
- About 10% larger yields for **POWHEG+PYTHIA8** \rightarrow w.r.t. POWHEG+PYTHIA8 LO \rightarrow more collinear production via GS
- \rightarrow **HERWIG** tends to underestimate the NS yields at low $p_{\tau}(D)$ and at high $p_{\tau}(assoc)$
- \rightarrow **EPOS** overestimates the yields over the whole pT range





PYTHIA8 and POWHEG+PYTHIA8 provide the best description

In Backup more details



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Comparison Λ_c^* vs D measurements





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Characterisation of the recoil-jet

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The difference between Λ_c^+ and D fragmentation and/or hadronisation reflects also in the AS.

a) different energy of the charm quark as a consequence of a softer Λ_c^+ fragmentation

Less probable hypothesis:

b) decay of higher mass charm states (SHM+RQM)

c) hadronisation by coalescence





Difference between charm-to-meson and charm-to-baryon fragmentation

*Other transverse momentum intervals in **backup**

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Λ_c^{+} -h in MC simulations

PYTHIA 8 expectations could be tested → Monash, CR modes, POWHEG+PYTHIA8

PYTHIA 8 Monash+Reso including SHM+RQM baryons

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At small p_{\rm T}^{\rm \ assoc} , discrepancies in the NS & AS yields
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 \rightarrow Hierarchies in models:

NS: Monash < mode 3 < mode 2 < mode 0 AS: opposite

 \rightarrow **Reso** impacts more for $p_{T}(\Lambda_{c}^{+}) > 5 \text{ GeV}/c$







charm-to-baryon fragmentation not properly described by MC generators





Summary



Charm fragmentation detailed with D-h correlations in pp at \sqrt{s} =13 TeV

- \rightarrow no modification depending on the centre-of-mass energy
- \rightarrow sharpening of correlation peaks with increasing trigger p_{τ}
- → PYTHIA8 and POWHEG+PYTHIA8 reproducing within uncertainties the data
 - \rightarrow confirming what observed in D-jets



Paper in preparation \rightarrow discrepancies in Λ^+_{c} -h can help in constraining Monte Carlo models



→ in contact with authors for modified hadronisation predictions

Thanks for your attention!







Approved by ALICE

Published by ALICE

TALKs

- 10th International Workshop on CHARM Physics CHARM2020 "Charm jet and correlation measurements with ALICE in pp and p-Pb collisions at the LHC"
- Quark-Gluon Plasma Characterisation with Heavy Flavour Probes, ECT* Workshop, Trento, Nov 2021, "Charm fragmentation studies with ALICE at the LHC"
- 108° Congresso Nazionale della Società Italiana di Fisica, SIF 2022, Milano, Set 2022, "Charm jets and correlations with ALICE at the LHC"
- 11th International Conference on Hard and Electromagnetic Probes of High-Energy Nuclear Collisions, Mar 2023 "First measurements of in-jet fragmentation and correlations of charmed mesons and baryons in pp collisions with ALICE"

POSTERs

- XXIXth International Conference on Ultra-relativistic Nucleus-Nucleus Collisions, Krakow, April 2022, "Beauty measurement prospects with ALICE 3" (POSTER)
- Quinto Incontro Nazionale di Fisica Nucleare, Laboratori Nazionali del Gran Sasso, May 2022, "Investigating heavy-flavour fragmentation and hadronization with jets and correlation measurements with ALICE" (POSTER)
- ➤ 152th LHCC meeting, Nov 2023

"Azimuthal correlation between D mesons and charged particles in pp collision at \sqrt{s} =13 TeV with ALICE" (POSTER)





Additional Material



Results









Λ_c^{+} -h correlations: Baseline



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$\Delta \varphi$ comparison with model predictions



D mesons - h



Near-side D mesons - h



Eur. Phys. J. C 82, 335 (2022)



Softer fragmentation, why?



→ more phase-space available for our particles in the charm jet



The <mark>∧⁺_c-h</mark> near-side is more populated than in the **D-h**

hadronisation?

- observed only for low- p_{τ}^{assoc}
- only for low- $p_{T}(\Lambda_{c})$

Enhancement in AS, tells us the **softer fragmentation** is *a good hypothesis*

<u>Most likely</u>. in Λ^+ – h

 Λ^+_{c}

 \rightarrow same charm energy

 \rightarrow NS of Lc more populated

→ AS by other charm, with the pattern of D-h AS



Is it coalescence?







In most of the models, it requires a rich parton environments:

- \rightarrow high-mult, QGP droplets (Catania)
 - \rightarrow many not-correlated particles
 - \rightarrow larger baseline \rightarrow NOT OBSERVED

• need for another (2x) parton to coalesce with (?)

• $p_{\tau}^{\Lambda c, \text{ coal}} > p_{\tau}^{\Lambda c, \text{ fragm}}$

charm shower jet related to fragmentation

 \rightarrow smaller yields in NS \rightarrow LARGER OBSERVED

Enhancement in AS, tells us the **coalescence** is **NOT** *a good hypothesis*

Influence of event multiplicity?







Analyses details



 $\frac{\text{Trigger particle}}{\pi^+}: \quad \Lambda_c \to pK^-$

Λ_c decay mode	Branching Ratio(Γ_i/Γ_{tot})	Pre-Selections ¹
$pK^{-}\pi^{+}$	(6.23±0.33)%	
$p\overline{K}^{*}(892)^{0}$	(2.13±0.30)%	
$\Delta(1232)^{++}K^{-}$	(1.18±0.27)%	
$\Lambda(1520)\pi^+$	(2.43±0.6)%	
$pK^{-}\pi^{+}$ nonResonant	(3.8±0.4)%	

$\Lambda_c^+ \rightarrow p K^- \pi^+$	$p_{\rm T}$ interval (GeV/c)		
$p_{\rm T}({\rm K}) ({\rm GeV}/c)$	> 0.4		
$p_{\rm T}({\rm p})~({\rm GeV}/c)$	> 0.5		
$p_{\rm T}(\pi) ({\rm GeV}/c)$	> 0.4		
DCA	< 0.05		
dist ₁₂	> 0.01		
σν	< 0.06		
decay length	> 0.005		
$\cos \theta_{\rm p}$	> 0.		

-7 p_T(Λ_c) intervals: 3-4, 4-5, 5-6, 6-7, 7-8, 8-12, 12-16 GeV/c

 Binary classification algorithm: XGBOOST, through <u>hype4ml</u> package Topological and PID variables were considered for the discrimination (more info on variables are in the Additional Material) Number of signal and background for train and test of the model

$p_{\rm T}$	# prompt Λ_c	# Background
3 - 4	$6.5 \cdot 10^{3}$	$3 \cdot N_{Sig}$
4 - 5	$6.0 \cdot 10^{3}$	$3 \cdot N_{Sig}$
5 - 6	$4.8 \cdot 10^{3}$	3 · Nsig
6 - 7	$3.3 \cdot 10^{3}$	3 · Nsig
7 - 8	$2.3 \cdot 10^{3}$	$5 \cdot N_{Sig}$
8 - 12	$4.1 \cdot 10^{3}$	$5 \cdot N_{Sig}$
12 - 16	$1.2 \cdot 10^{3}$	$8 \cdot N_{Sig}$

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Model performances

The trained model provides a BDT score for the classification between **background** and **signal** candidates



→ the agreement between training and test samples is a test against **overfitting**

 \rightarrow the separation between classes provides indication on the BDT cut value

The ROC (and the ROC(AUC)) give indication about the discrimination performances of the model





Definition of the ML working point

The expected significance and the S/B were computed:

Signal (ML): $S_{\rm ML} = 2 \cdot \frac{\mathrm{d}\sigma_{\rm pp}^{FONLL,\Lambda_c^+}/\mathrm{d}p_{\rm T}\mathrm{d}y}{\sigma_{MB}^{\rm pp}} \cdot \Delta p_{\rm T} \Delta y \cdot BR \cdot (\epsilon \times Acc)_{ML}$

Background (ML): integral under the peak region (±3σ) obtained from the M_{inv} sideband fit function

Max of **S/B** and **Significance** (per-event) not best choice:

- \rightarrow correlation distributions built up to the background subtraction;
- ightarrow a scan in BDT score to test possible $\Delta \phi$ dependence on BDT value
- \rightarrow BDT score inducing smaller stat. fluctuation was chosen



Associated charged particles

"Associated particles"



Physics selection: Physical primary
Kinematic cuts: $-0.8 < \eta < 0.8$ Quality cuts: SetRequireSigmaToVertex(kFALSE);
SetRequireITSRefit(kTRUE);
SetRequireITSRefit(kFALSE);
SetMinNClustersITS(2);
SetMinNCrossedRowsTPC(70);
SetMinRatioCrossedRowsOverFindableClustersTPC(0.8);
SetMaxChi2PerClusterTPC(4);
SetMaxDCAToVertexZ(1.);
SetMaxDCAToVertexXY(1.);

"prompt particles produced at the primary vertex"



In these analyses, only e, μ, π, K, p are taken into account

Associated particle efficiency





A weighted average on the number of event per data acquisition period is then performed for the extraction of the final tracking efficiency







Beauty bias in azimuthal correlations



Difference between generated and reconstructed level in correlation distributions with **beauty-origin**

- enhancement at $\Delta \varphi$ ~ 0, followed by a depletion
- \rightarrow induced by topological selections (mainly $\cos\theta_{\rm P}$)





A $\Delta \varphi$ -dependent modulation around $\Delta \varphi \sim 0$, is therefore applied to the correlation distribution.

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Soft- π subtraction





Cut on the D⁰+track M_{inv}:

> if $(m^{D^*}-3\sigma) < M_{inv} < (m^{D^*}+3\sigma)$, \rightarrow assoc. track not accounted in correlations For the $\Lambda_{c'}$ this is not feasible

 \rightarrow Monte Carlo driven approach

a) simulation of the $\Sigma_c^{0,++}(2455) \rightarrow \Lambda_c^+ + \pi^+ (\pi^-)$ decay kinematics

- b) computation of \dphi Λ_c^+ π^+ distributions
- c) subtraction from data correlation distributions

 $\rightarrow \Lambda_{c}^{+} (\leftarrow \Sigma_{c}^{0,++})$ measured spectrum

 $\rightarrow \pi$ efficiency correction over reweighted eff. map

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More about introduction

Overview





Footprints of charm production mechanisms







$\Lambda_{c}^{+}/D^{\circ}$ ratio in pp



LEP: (0.113 ± 0.013 ± 0.006) EPJC 75 (2015) 19

р

Significant enhancement of Λ_c^+/D^0 ratio in *pp* than e^+e^- observed at different collision energy



CR-BLC reconciles PYTHIA predictions with measurements: → "junction" topologies in MPI enhance baryon production

A good agreement is observed:

Catania: thermalized system of u,d,s and g → Hadronization via interplay of fragmentation and coalescence

SHM: quark hadronisation driven by statistical weights **+RQM**: Augmented set of excited charm baryon states

Quark (re)combination Mechanism

- charm is combined with co-moving light antiquark or two quarks.

- charm baryon abundances determined by thermal weights.







 \rightarrow enhancement of Λ_c^+/D^0 ratios in pp w.r.t. LEP measurements also in the lowest multiplicity interval. From the comparison with models:

X PYTHIA Monash does not reproduce the multiplicity dependence, underestimating the ratios

V PYTHIA CR-BLC, CE-SH provide qualitative good description of the p_{T} evolution and multiplicity dependence.

Charm-tagged jets



MC generators providing overall good description of the spectrum ch jet

D



Charm-tagged jets





 $ightarrow R=0.6 \rightarrow$ hint of softer fragmentation wrt models

PYTHIA: JHEP 1508 (2015) 003 POWHEG: JHEP 06 (2010) 043

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arXiv:2204.10167



Hardening of the $p_{\rm T,ch\,jet}$ spectra with increasing centre-of-mass energy.

- \rightarrow PYTHIA SoftQCD correctly reproduce the data
- \rightarrow POWHEG + PYTHIA 8 simulation tends to underestimate the measured cross section ratios

PYTHIA: JHEP 1508 (2015) 003 **POWHEG:** JHEP 06 (2010) 043

D^o - jets

D°-jets: longitudinal momentum fraction



First measurement of D_s⁺-jets

Highlight possible differences in the charm fragmentation due to the strange-quark content of the tagged meson

> Good compatibility between models and data





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First measurement of D_s⁺-jets

Good compatibility between models and data

 \succ

Highlight possible differences in the charm fragmentation due to the strange-quark content of the tagged meson



 \succ hint of harder fragmentation with respect to D⁰



 Λ_{c}^{\dagger} -jets

 \rightarrow Probe the fragmentation of charm quarks into charm baryons

- slightly harder fragmentation in PYTHIA8 Monash
- good agreement with PYTHIA8 CR-BLC, mode 2





 \rightarrow Probe the fragmentation of charm quarks into charm baryons



 $\mathbf{0}$

slightly harder fragmentation in PYTHIA8 Monash
 good agreement with PYTHIA8 CR-BLC, mode 2

∧_c⁺-jets

- \succ hint of softer fragmentation into Λ_c^+ than D^0
- Correctly reproduced by PYTHIA8, CR-BLC mode 2







 \rightarrow Similar baryon-to-meson enhancement between prompt and non-prompt Λ_c^+/D^0 ratio \rightarrow Measurement compatibility between collision systems

Non-prompt Λ_c^+ simulations with FONLL (LHCb FF b $\rightarrow \Lambda_b^+$) + PYTHIA8 decayer $\stackrel{\text{intermediate}}{\longrightarrow}$ most of non-prompt Λ_c^+ from Λ_b^+ decays \rightarrow access to beauty-baryon production





✓ enhancement in Λ_c^+/D^0 ratios observed in Pb–Pb collisions → in central (0-10%) Pb–Pb collisions, for $4 \le p_T < 8$ GeV/*c*, larger than pp (3.7 σ)

SHMc (statistical hadronization + charm) and Catania models able to catch the evolution with p_T
Best description by TAMU (hydro. + fragmentation + coalescence + extra c-baryons)

Baryon-to-meson enhancement due to an interplay of radial flow and recombination?

$P_{\rm T}$ -integrated $\Lambda_{\rm c}^{+}/{\rm D}^{\circ}$ ratio





No dependence of the $p_{\rm T}$ -integrated ratio on collision system and energy within uncertainties



Momenta redistribution can justify the differences in the p_{τ} -differential ratio across collision systems

Flat trend reproduced by Catania, TAMU (hadronization via fragmentation+recombination)



p–Pb: Phys. Rev. C 104, 054905 Pb–Pb: Phys. Lett. B 839 (2023) 137796

Models in details



PYTHIA 8: Lund fragmentation model







- 1) A given colour charge stretched in a **confinement field** to nearest anti-colour charge
- 2) Given sufficient energy, confinement field can break down by spontaneous *qq pair creation*
- ? Between which partons should confining potentials form?

Starting point for **MC generators** = Leading Colour limit $N_c \rightarrow \infty$

- Probability for any given colour charge to accidentally be same as any other \rightarrow 0.

- Each colour appears only once & is matched by a unique anticolour.

Corrections are expected to be about ~ $1/N_{c}$ ~ 10 %



PYTHIA 8: Lund fragmentation model



How many parton systems are there in pp collisions?

- → can have very many parton systems within a single pp collision (esp. in high-multiplicity events)
- → All within ~ transverse size of a proton (= right on top of each other)





Probability for uncorrelated $q\bar{q}$ pair to **accidentally** be in colour-singlet state follows from $3 \otimes \bar{3} = 8 \oplus 1$ \bullet 1 in 9 \bullet $= 1/N_c^2$

PYTHIA 8: Lund fragmentation model

$\mathsf{MPI} + \mathsf{showers} \Longrightarrow \mathsf{partons} \text{ with LC connections}$

Idea: restore missing $(1/N_{C}^{2})$ colour correlations stochastically. Approximate all **LC**unconnected partons as uncorrelated and consider SU(3) rules:

- (1) $3 \otimes \overline{3} = 8 \oplus 1$ for uncorrelated colour-anticolour pairs (allows "dipole CR")
- (2) $3 \otimes 3 = 6 \oplus \overline{3}$ for uncorrelated colour-colour pairs (allows "junction CR")

Technically: done by assigning all partons "colour indices" from 0 to 8.

E.g., any parton given colour index 0 can be confined with any parton with anti-index 0. This reproduces the 1/9 stochastic probability in eq.(1).

Index 0 can also combine with *two* other partons (with indices 3 and 6) representing the confining (colour-neutral) combination of R, G, and B

This gives a decent approximation to the 3/9 probability in **eq.(2)**.

Represented by "string junctions" in Pythia $[hep-ph/0212264] \implies$ a new source of baryons and anti-baryons.

Finally, choose between which ones to actually set up confining potentials

Smallest measure of "invariant string length" \propto number of hadrons produced (" λ measure")



From:

Skands, <u>OCD-Based CR in</u> <u>Pythia & Close-Packina</u>

PYTHIA 8: Color-reconnections beyond leading color



Reconnections occur between two string pieces

 \rightarrow only if in **causal contact** (compatible formation time $\tau_{form} \sim 1/m_{string}$)

! Resolve each other in between *formation* and *hadronisation* τ (+ relative string boost)

• Mode 0: no time-dilation constraints. m_0 controls the amount of CR (mode 0);

• Mode 2: time dilation using the boost factor obtained from the final-state mass of the dipoles, requiring all dipoles involved in a reconnection to be causally connected (strict);

• Mode 3: time dilation as in Mode 2, but requiring only a single connection to be causally connected (loose).

Relative boost causal contact condition

$$\gamma \tau_{\rm form} < C_{\rm time} \tau_{\rm had} \Rightarrow \frac{\gamma c}{m_{\rm string} r_{\rm had}} < C_{\rm time}$$

$$r_{had} \sim \tau_{had} c \sim 1 \, {
m fm} \, m_{o} \sim \Lambda_{occ}$$

				OLT/
Parameter	Monash	Mode 0	Mode 2	110d-3
StringPT:sigma	= 0.335	= 0.335	= 0.335	= 0.335
StringZ:aLund	= 0.68	= 0.36	= 0.36	= 0.36
StringZ:bLund	= 0.98	= 0.56	= 0.56	= 0.56
StringFlav:probQQtoQ	= 0.081	= 0.078	= 0.078	= 0.078
StringFlav:ProbStoUD	= 0.217	= 0.2	= 0.2	= 0.2
	= 0.5,	= 0.0275,	= 0.0275,	= 0.0275,
St	0.7,	0.0275,	0.0275,	0.0275,
StringFlav:probQQ1toQQ0join	0.9,	0.0275,	0.0275,	0.0275,
	1.0	0.0275	0.0275	0.0275
MultiPartonInteractions:pT0Ref	= 2.28	= 2.12	= 2.15	= 2.05
BeamRemnants:remnantMode	= 0	= 1	= 1	= 1
BeamRemnants:saturation	-	= 5	= 5	= 5
ColourReconnection:mode	= 0	= 1	= 1	= 1
ColourReconnection:allowDoubleJunRem	= on	= off	= off	= off
ColourReconnection:m0	-	= 2.9	= 0.3	= 0.3
ColourReconnection:allowJunctions	-	= on	= on	= on
ColourReconnection:junctionCorrection	. 	= 1.43	= 1.20	= 1.15
ColourReconnection:timeDilationMode	-	= 0	= 2	= 3
ColourReconnection:timeDilationPar	-	-	= 0.18	= 0.073

String Formation Beyond Leading Colour

 $|\mathcal{C}_{\mathsf{time}}|$ size of the allowed relative boost factor for reconnections to occur

PYTHIA 8: Color-reconnections beyond leading color



QCD CR model(s): Junctions drive order-of-magnitude increase at low- $p_T \Lambda_c/D^0$ \rightarrow mode 2 > mode 0 > mode 3



Mode 0: no time-dilation constraints. m_0 controls the amount of CR (mode 0);

- Mode 2: time dilation using the boost factor obtained from the final-state mass of the dipoles, requiring all dipoles involved in a reconnection to be causally connected (strict);
- Mode 3: time dilation as in Mode 2, but requiring only a single connection to be causally connected (loose).

"Neither CR nor junction fragmentation were specifically designed/optimised for **heavy quarks**" "Needs further thought & theoretical work"

📚 Skands, <u>OCD-Based CR in Pythia & Close-Packing</u>