

Polarization at SuperB

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Outline

- **Longitudinal polarization of an electron beam at LER – physics request**
- **Two 90° spin rotators scheme with restoration of the vertical direction of a spin in arcs - main option for $E=4.18$ GeV and for some specific energies below**
- **Scheme with 1 or 3 Siberian Snakes - possible options for $E < 3$ GeV**
- **Analytical estimations, ASPIRRIN code results**
- **Open questions list**
- **Conclusion**

Polarization review at Annecy, 2010

- U.Wienands, D.P.Barber - “Polarization update”, scheme with two 90° spin rotators
- Ken Moffeit - “Polarization at SuperB” (Physics request and a measurement)
- Cecile Rimbault – “Beam-beam depolarization. Spin tracking. GUINEA-PIG++ code.”
- N.Monseu – “Spin tracking. Zgoubi code.”
- Other workshops; SPIN-2010, Juelich; Elba meeting.
- SuperB Progress Reports, the Collider, Dec.27, 2010.
<http://arxiv.org/abs/1009.6178v3>

Requirements to longitudinal polarization

High polarization degree

demands: $\tau_{DK} \gg \tau_b = 3 \text{ min}$

Expected polarization

from a gun: $P_i = 90\%$

Mixing of fresh beam with an old one slightly dilutes P :

$\tau_b = 3 \text{ min}, \quad P_i = \pm 90\%; \quad \tau_{DK} = 12.7 \text{ min}, \quad P_{DK} = +5.9\%.$

$$P = P_i \frac{\tau_{DK}}{\tau_b + \tau_{DK}} + P_{DK} \frac{\tau_b}{\tau_b + \tau_{DK}} \rightarrow P = +73.9\% \text{ or } -71.6\%$$

Continuous polarization monitoring (bunch to bunch)
using the Compton back-scattering technique.

To fight with systematics the polarization measurement
accuracy needs to be better than: $|\Delta P/P| \leq 1 \div 5 \cdot 10^{-3}$

Alter a sign of P from bunch to bunch, randomly!

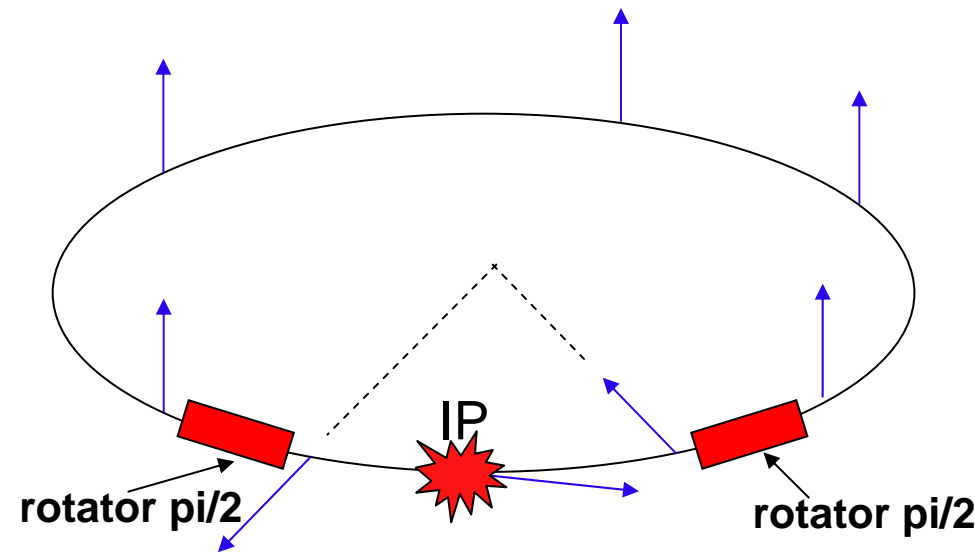
Alter sometimes the spin filling pattern in a train!

Two 90° spin rotators scheme at LER

Spin is directed longitudinally at IP at two specific energies.

It makes a half-turn in the FF-arc when $E = 1.4$ GeV

and it makes 1.5 turns at $E = 4.18$ GeV (that is a nominal energy)



$$\vec{d} = \gamma \frac{\partial \vec{n}}{\partial \gamma} \quad \text{- the spin - orbit}$$

$$\text{coupling vector, } |\vec{d}| \sim \gamma$$

$$r \text{ - bending radius}$$

$$\tau_{\text{DK}}^{-1} = \frac{5\sqrt{3}}{8} \lambda_e r_e c \gamma^5 \left\langle \frac{1 - \frac{2}{9} (\vec{n} \vec{v})^2 + \frac{11}{18} \vec{d}^2}{|r|^3} \right\rangle \sim \begin{cases} \gamma^5 & \text{if } |\vec{d}| \leq 1 \\ \gamma^7 & \text{if } |\vec{d}| \gg 1 \end{cases}$$

LER lattice design specific features

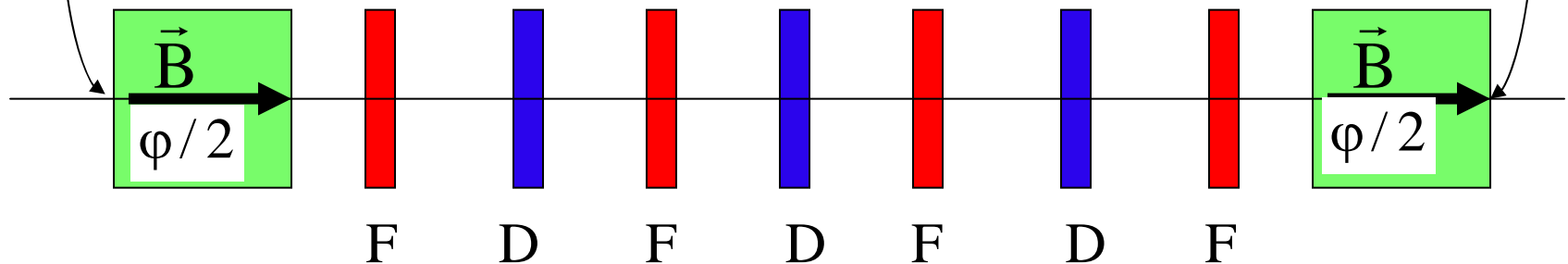
- Two $\pi/2$ spin rotators are located at slightly different azimuth angles from the IP - $\phi_1=0.462773$ and $\phi_2=0.528773$
- This asymmetry results in about 5% loss of the longitudinal spin projection at 4.18 GeV.
- Spin at 4.18 GeV is almost longitudinal at IP ($n_y=0.95138$) and after few bending magnets near IP:
 $n_y=0.94083$ in B2AR - B3R, $n_y=0.99046$ in B3R - B3R
 $n_y=0.99431$ in B3L - B3L, $n_y=0.92571$ in B3L - B2AL -
also suitable for 1.4 GeV: with $n_y=0.604$

Plan use for Compton backscattering polarimetry (see K.Moffeit report at Annecy, 2010)

Spin Rotator for an arbitrary partial

For decoupling should be $T_x = -T_y$

$$T_x = \begin{pmatrix} -\cos \varphi & -2r \sin \varphi \\ (2r)^{-1} \sin \varphi & -\cos \varphi \end{pmatrix} \text{ for the spin transparency!}$$



$r = pc / eB$

Two solenoids provide spin rotation by $\varphi \leq 180^\circ$

All quads don't need to be skewed!

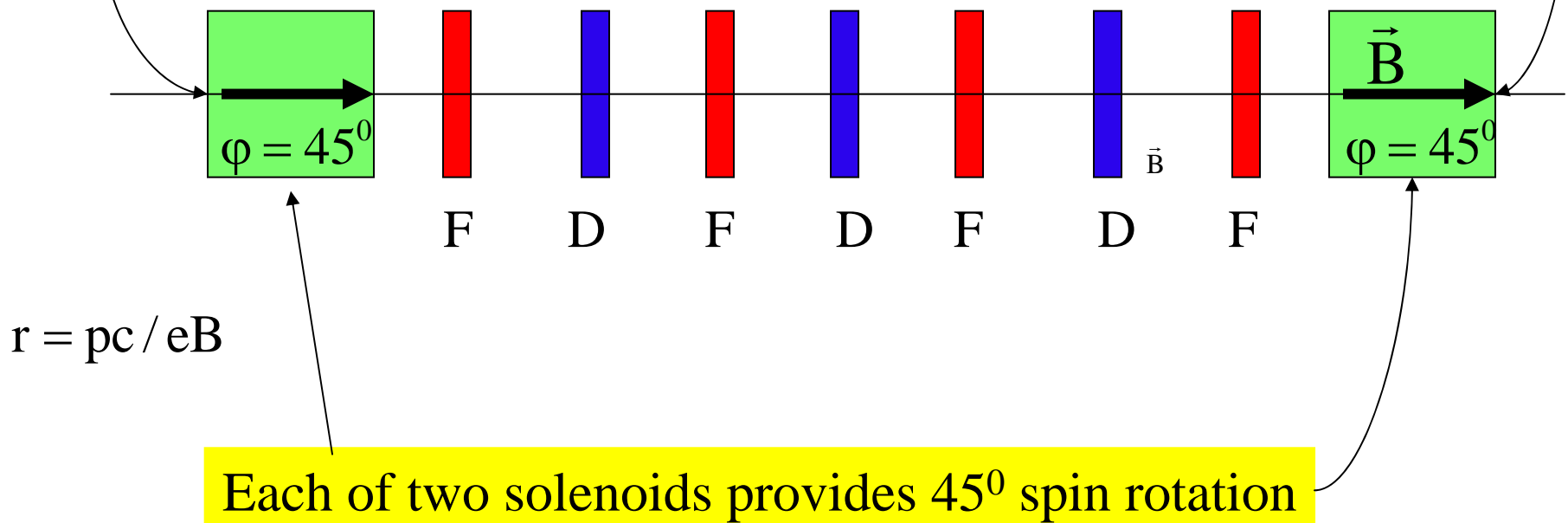
Spin transparency cancels the contribution of betatron oscillations to $|d|$ -factor

Snake: $\cos \varphi = -1$, $\sin \varphi = 0$; 90° - spin rotator: $\cos \varphi = 0$, $\sin \varphi = 1$

90° Spin Rotator optics

Decoupling condition: $T_x = -T_y$

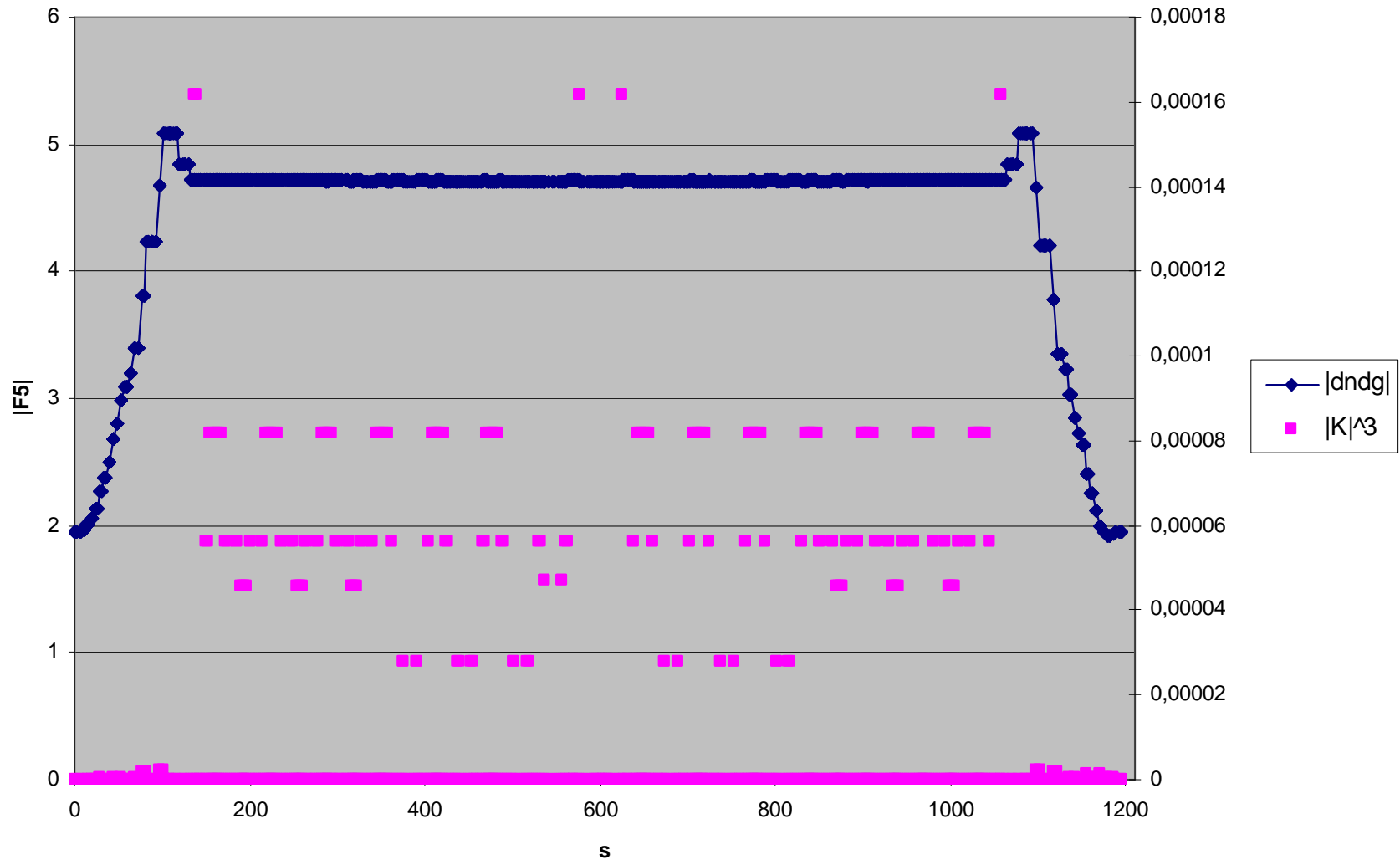
$$T_x = -T_y = \begin{pmatrix} 0 & -2r \\ (2r)^{-1} & 0 \end{pmatrix} \text{ for the spin transparency!}$$



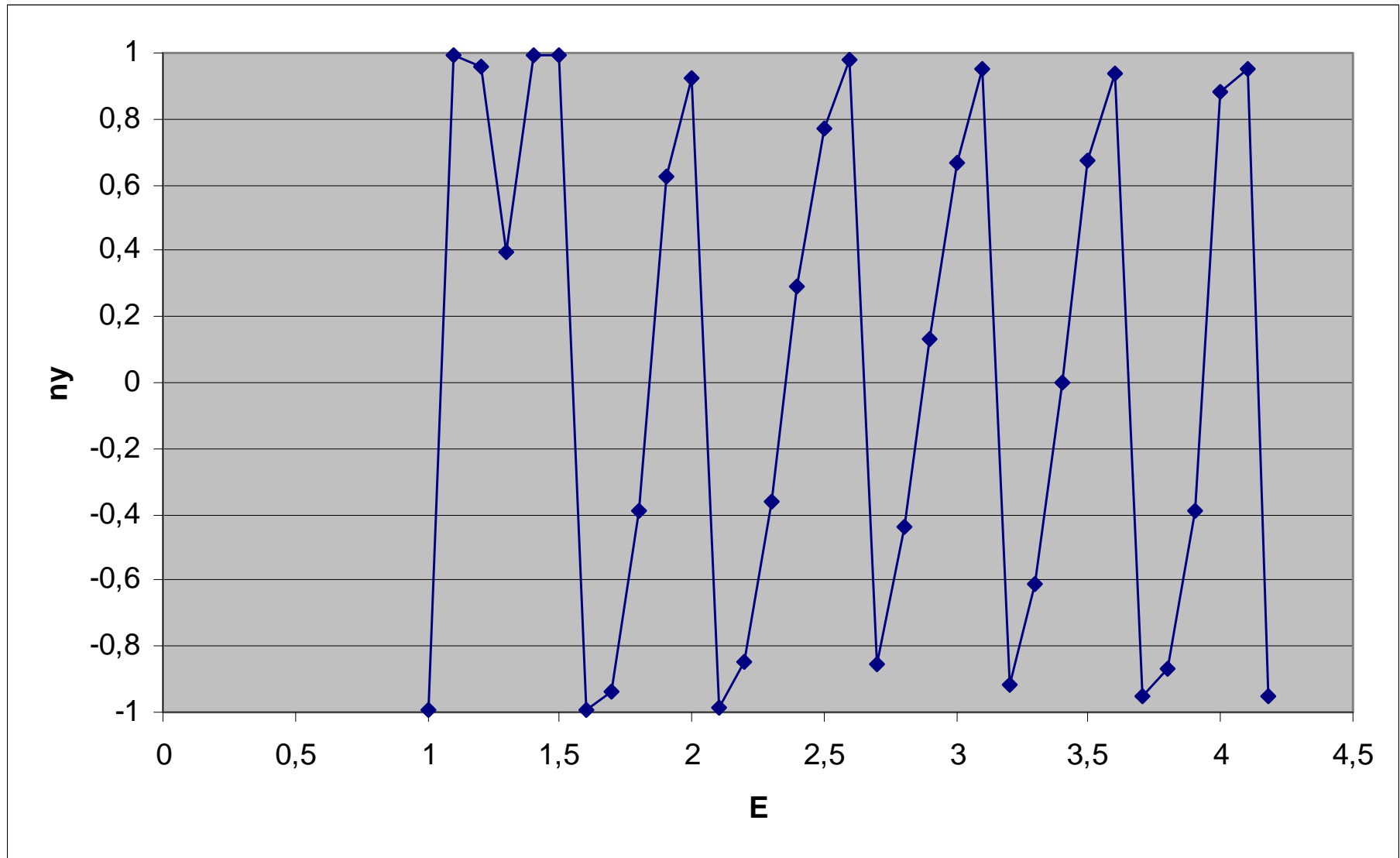
At 4.18 GeV each solenoid is: $L=2.1878$ m, $H=4.999591$ T, $HL=10.938106$ T*m

ASPIRRIN: two 90° rotators, $E=4.18$ GeV

$|dndg|$ around ring

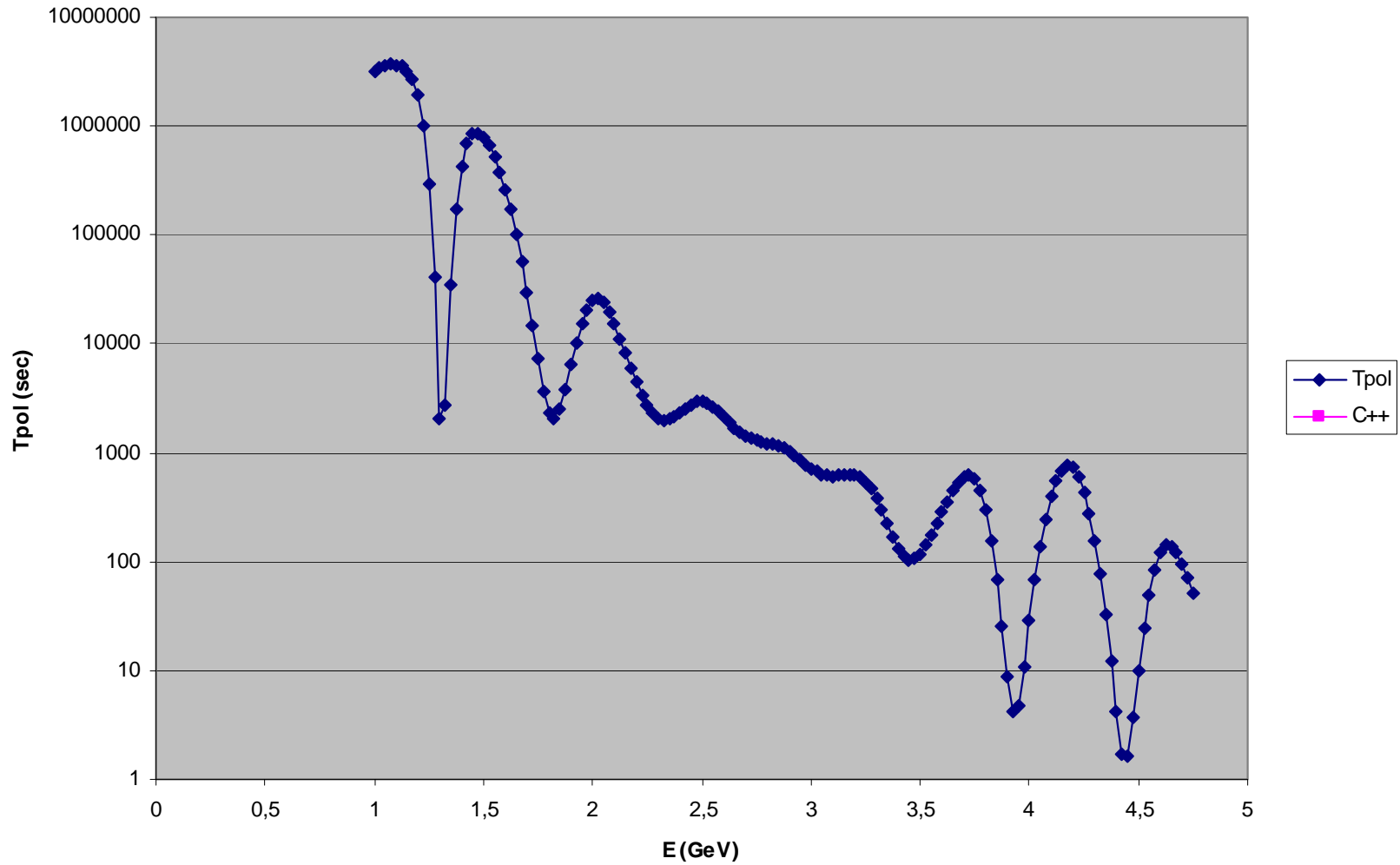


ASPIRRIN: 2 x 90° option, ny(E) scan



ASPIRRIN: 2 x 90⁰ spin rotators, tau_DK scan

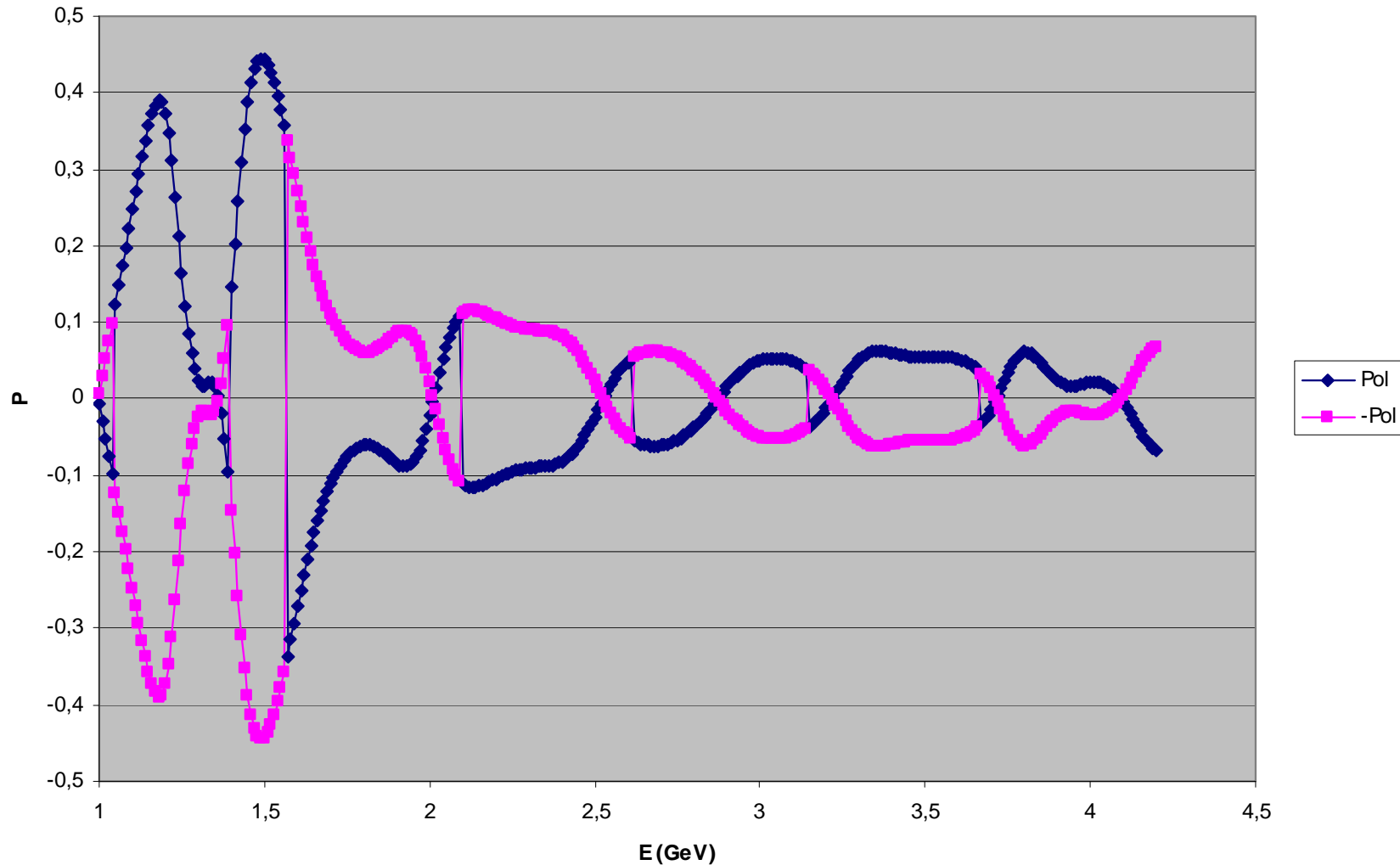
Tpol v. Energy



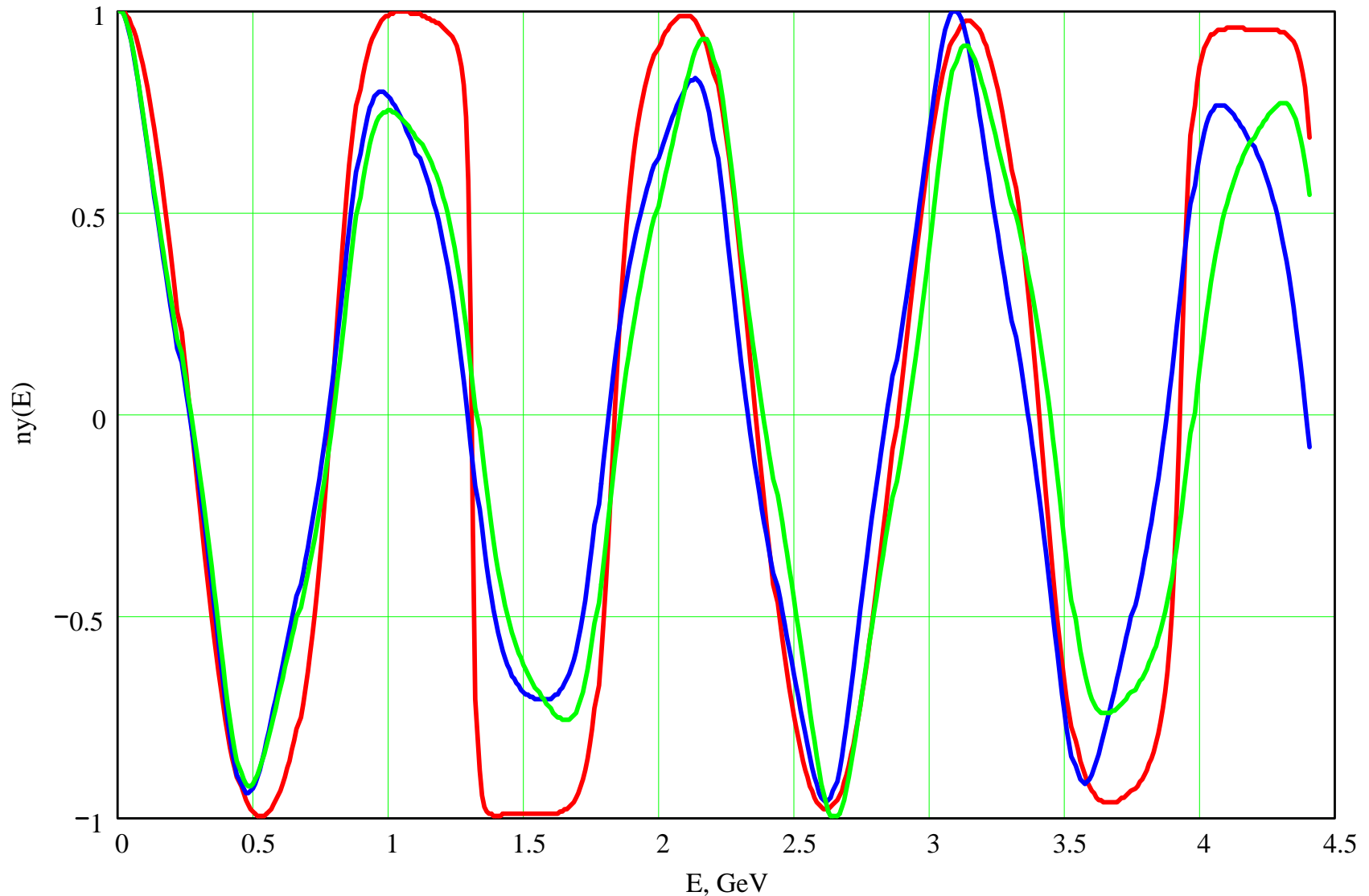
$$\tau_{DK} = 760 \text{ s}, \quad P_{DK} = +5.9\% \quad \text{at} \quad E = 4.18 \text{ GeV}$$

Self-polarization degree for 2 x 90° option

Polarization vs. Energy

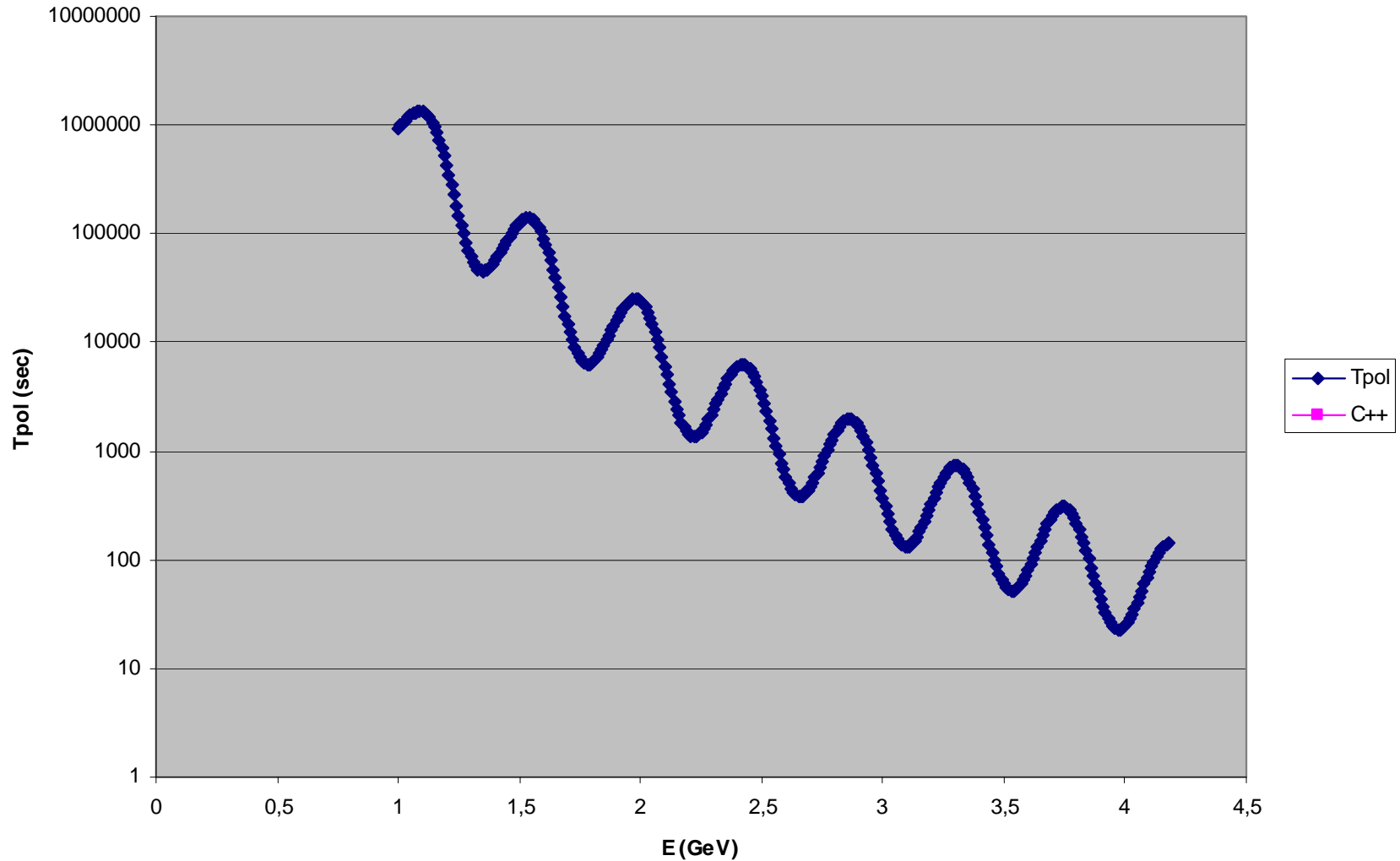


$ny(E)$: **left**, **right** or **both** rotators are powered

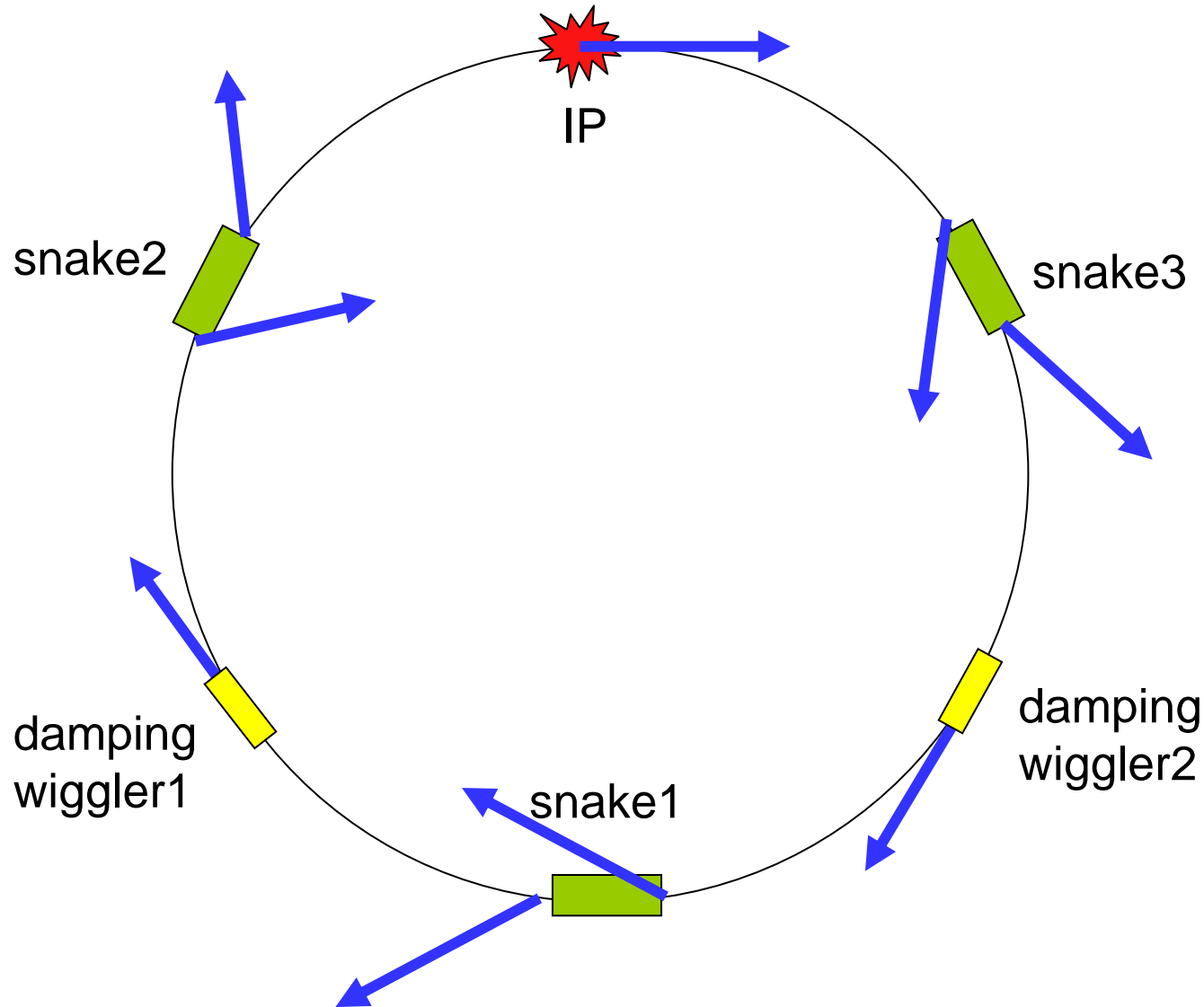


Tau(E), a single (left) rotator is switched on

Tpol v. Energy

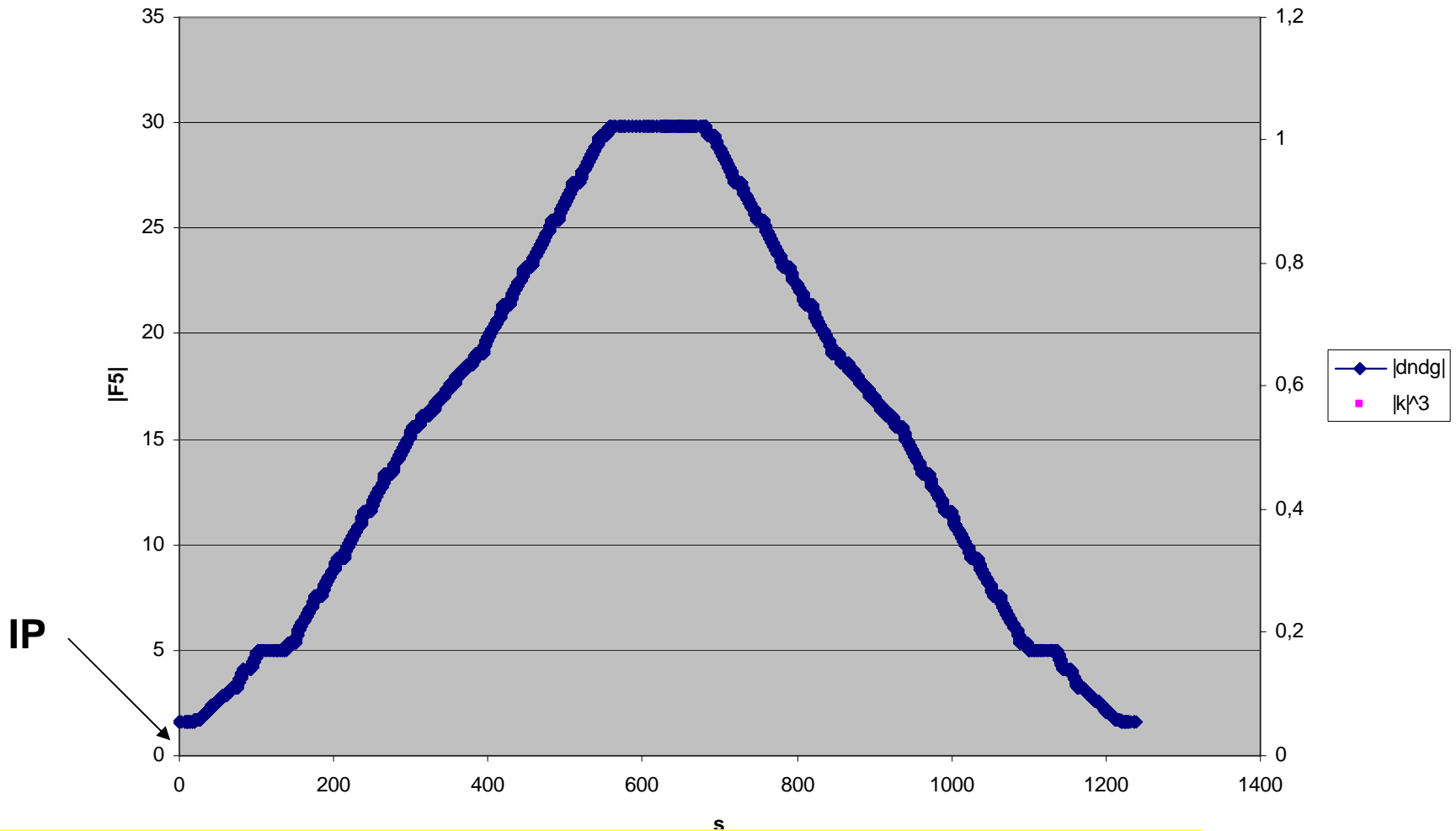


Single or 3 snakes options (arc=120° + two damping wigglers in the arc's middle point)



$|d|$, single snake option, 4.18 GeV

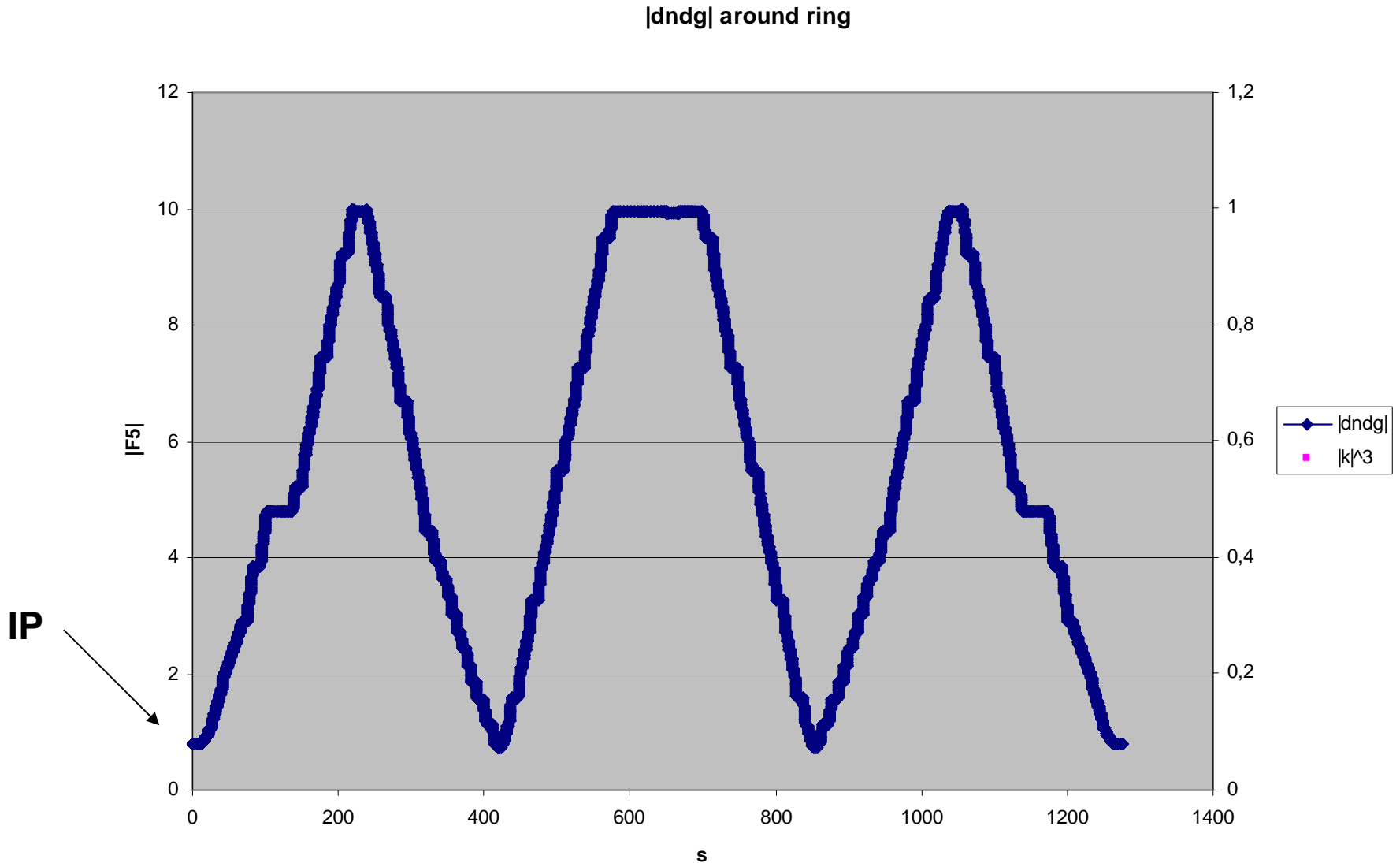
$|dndg|$ around ring



$\tau_{DK} = 90 \text{ s}$ at $E = 4.18 \text{ GeV}$, $\tau_{DK} = 900 \text{ s}$ at 3 GeV

$\tau_{DK} = 181000 \text{ s}$ at 1.4 GeV (but no wigglers!)

ASPIRRIN: 3 snakes option, 4.18 GeV



$$\tau_{DK} = 780 \text{ s}, \quad P_{DK} = +2.7\% \quad \text{at} \quad E = 4.18 \text{ GeV}$$

Some open questions

- Optics regime below 4.18 GeV. Influence of wigglers on the depolarization time – we need a response from the lattice design team.
- Spin dynamics simulation (linear and nonlinear optics imperfections, tolerances) with the advanced tracking codes: D.P. Barber, SLICKTRACK; P.A.Piminov, Acceleraticum;
- Beam-beam simulation with the emphasis on depolarization - N.Monseu, Zgoubi code; Cecile Rimbault – GUINEA-PIG++ code; D.N.Shatilov, LIFETRAC.

Conclusion on polarization

- A scheme with two 90° spin rotators provides up to $\sim 70\%$ of the longitudinal polarization in LER at 4.18 GeV and at some magic energies.
- Below 3 GeV each single 90° spin rotator works as a partial snake, providing a high enough longitudinal polarization at some magic energies, but almost everywhere two rotators scheme looks better.
- Single snake, being placed in technical straight section, works well at any energy below 3 GeV.
- 3 snakes option works well in the full energy range, but is more expensive and needs somewhat longer circumference – not feasible?
- Tolerances on the quads gradient integrals and the solenoid field integrals are in a range of few percents.
- TDR could start with the solenoid design and, probably, with the Compton polarimeter.