

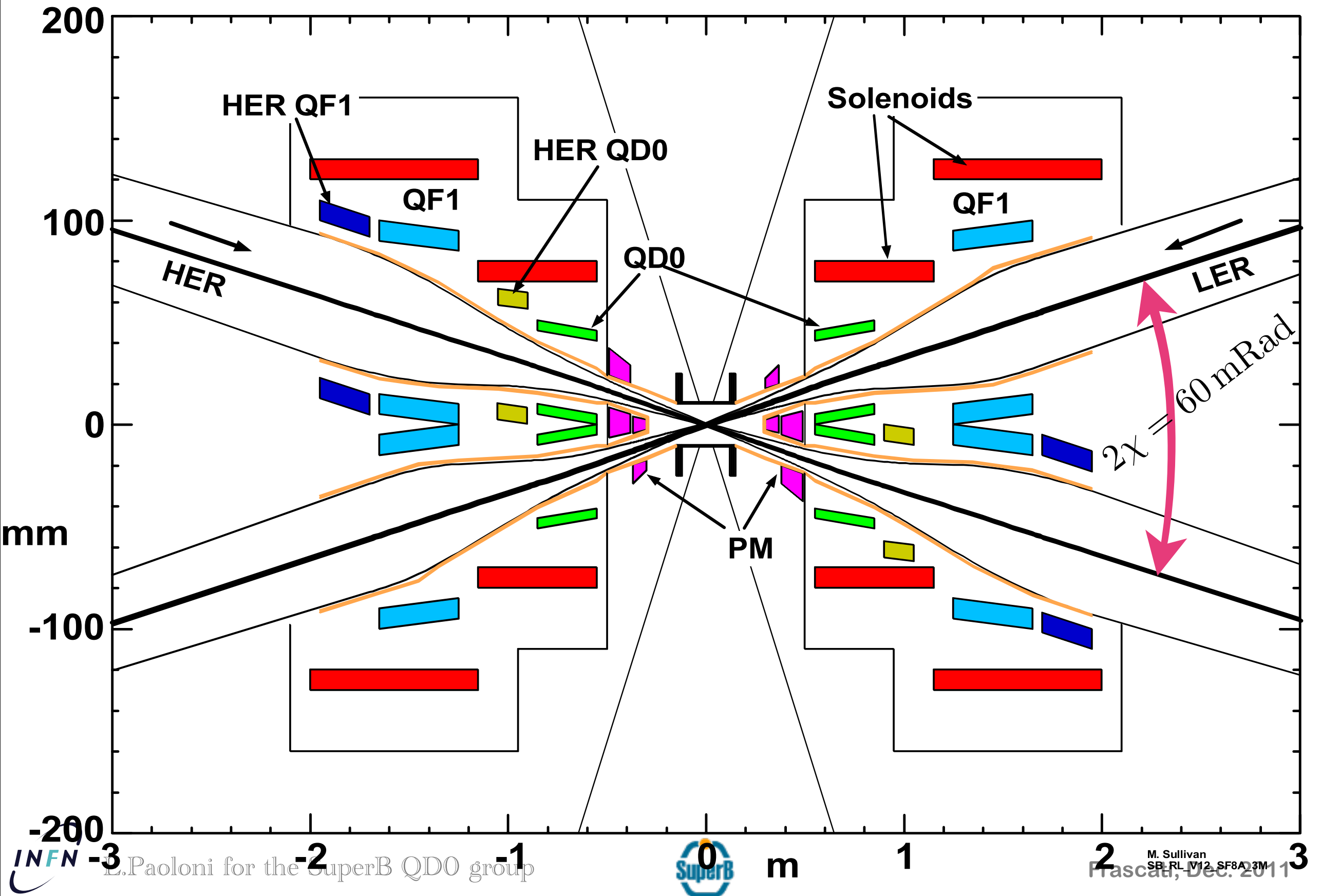
UPDATE ON QD0 DESIGN

Filippo Bosi, Pasquale Fabbricatore,

Stefania Farinon, Roberto Marabotto, Riccardo Musenich,

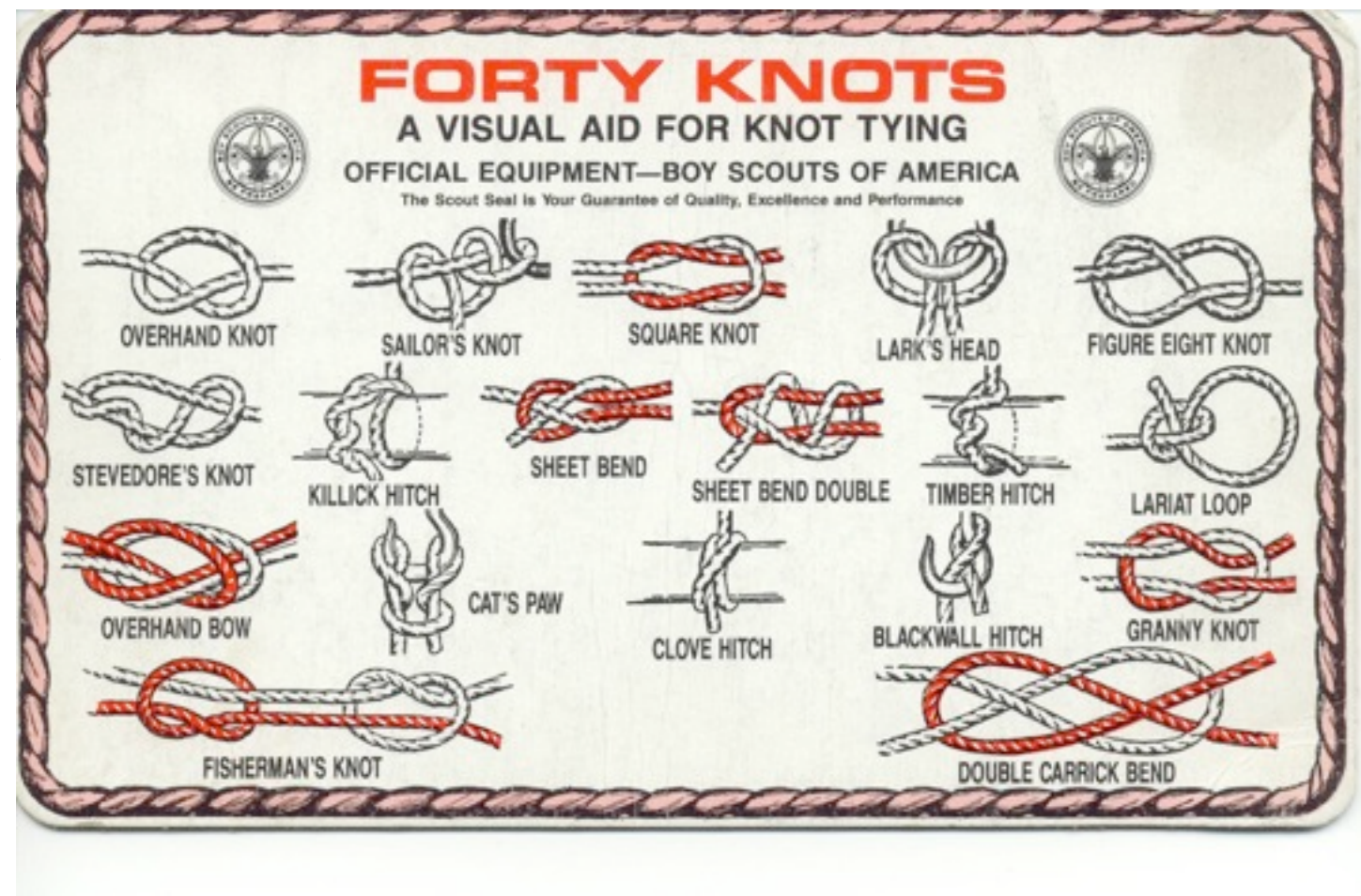
Davide Nardelli, Eugenio Paoloni

INTERACTION REGION LAYOUT

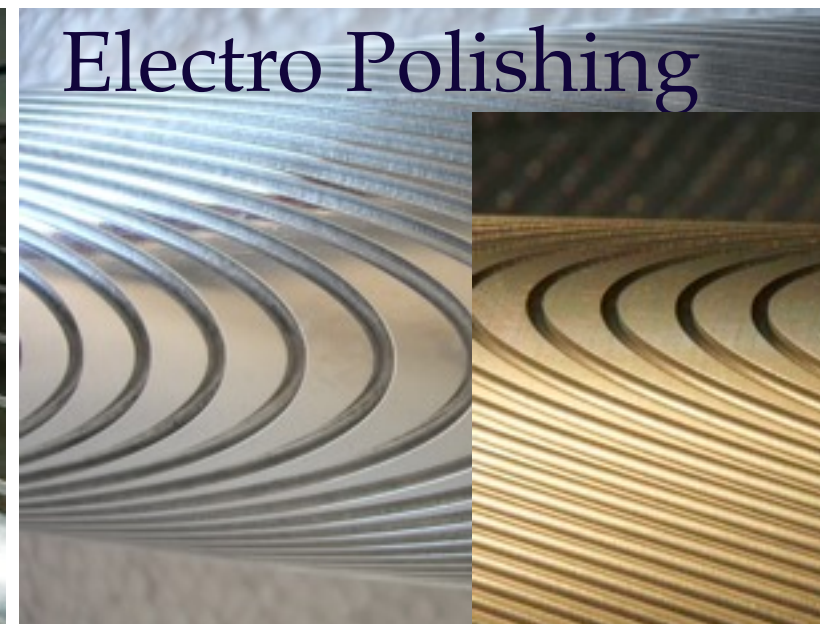


DIFFERENCES W.R.T. V16 LATTICE

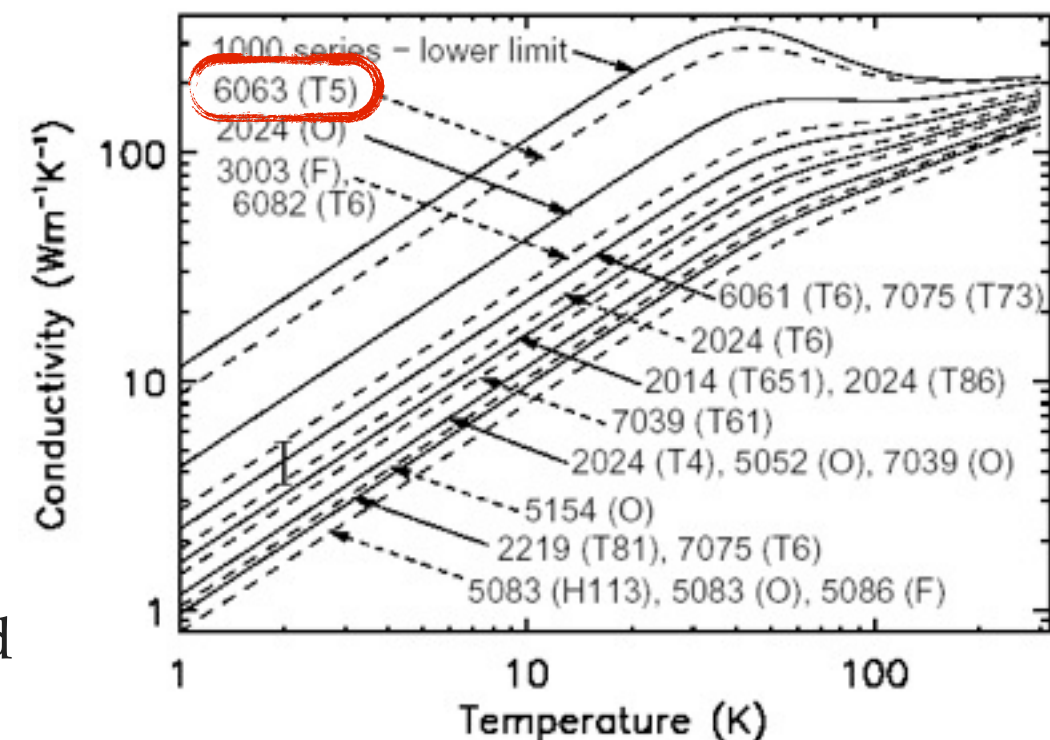
- A single short SC quadrupole for the LER. (Pantaleo requirement)
- A smaller crossing angle (Mike: simulation of Synchrotron radiation effects on the SVT)
- Displaced QD0 (Pasquale: cold mass + helium vessel + thermal insulation are objects in space)
- All the knots come to the comb
- We should try to have a consistent model



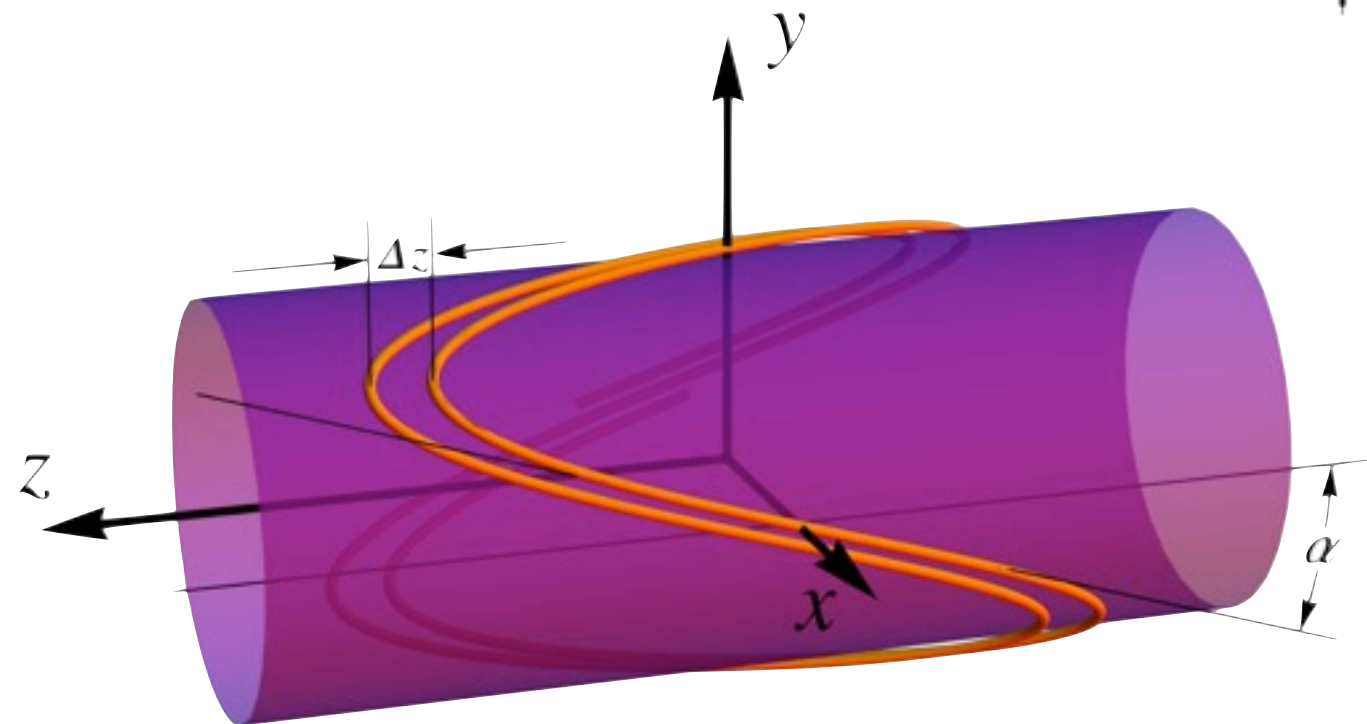
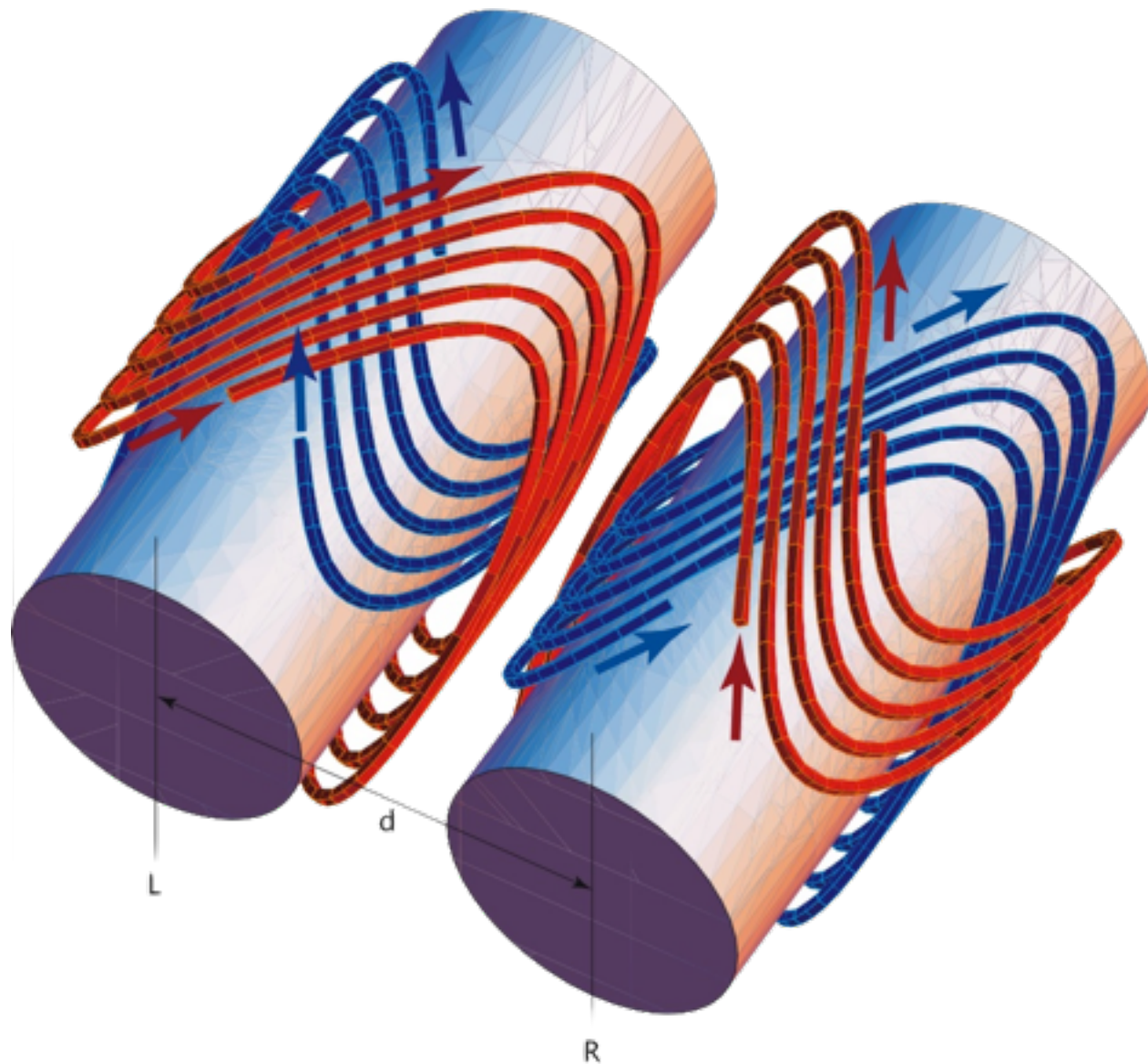
HOW THE THING IS BUILT



- Anticorodal 6063 had been chosen for its high thermal conductivity at cryogenics temperature
- The grooves on the support cylinders are milled with a 4 axis CNC machine, then electro polished and anodized
- The NbTi wire is insulated with a polyester braid
- The wire is deposited on the groove and kept in place by a layer of glass tape
- The two cylinder are then coupled and epoxy impregnated



DOUBLE HELICAL COILS MAIN CONCEPT



- Compact and thin cold mass: $2 \times \text{wire diameters} + \text{few mm}$
- Excellent field quality over the whole aperture
- Arbitrary multipole combinations can be generated by a proper coil shape

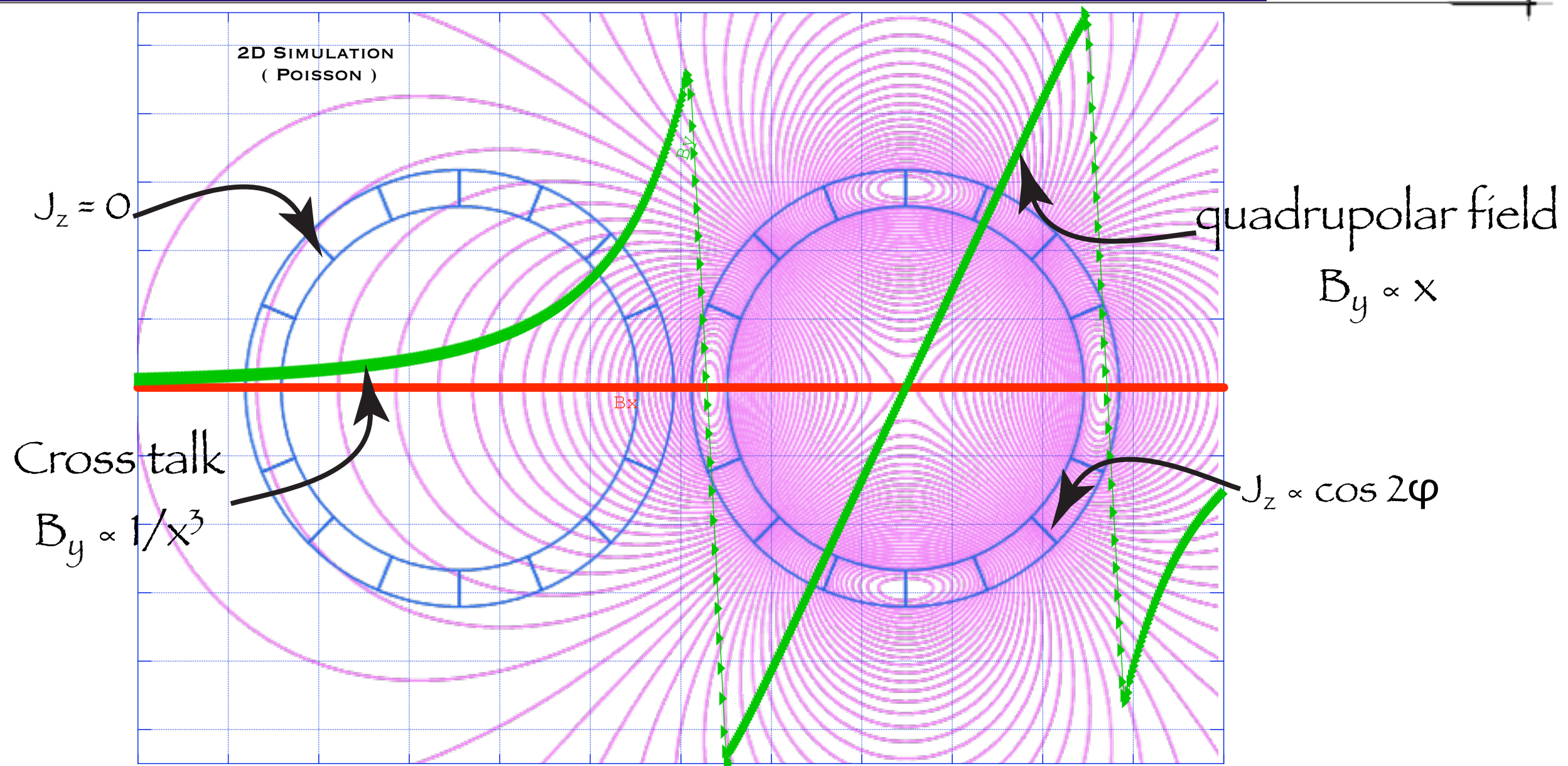
MOPAS055

Proceedings of PAC07, Albuquerque, New Mexico, USA

COMBINED FUNCTION MAGNETS USING DOUBLE-HELIX COILS *

C. Goodzeit, R. Meinke, M. Ball, Advanced Magnet Lab, Inc., Melbourne, FL 32901, U.S.A.

CROSS TALK COMPENSATION



- Idea: exploit the superposition principle to design the coil shape in such a way that the integrated beam kick is a linear function of the displacement from the reference orbit

THE ALGEBRA BEHIND THE CURTAIN

Zero-th order approximation: the particle is undeflected (i.e. she travels parallel to the magnet axis)

First order correction: the particle get a transverse kick proportional to the the B field integrated over the zero-th order trajectory, that is:

$$\vec{\mathcal{B}}(x, y, z) \equiv \int_{-\infty}^{+\infty} \vec{\mathbf{B}}(x, y, z + \lambda) d\lambda, \quad \partial_z \vec{\mathcal{B}}(x, y, z) = \vec{0}$$

$\vec{\mathcal{B}}$ is a solution of the magnetostatic equations being a linear superposition of \vec{B} fields in vacuum, it is invariant for translations along the \hat{z} direction hence can be conveniently described by an harmonic function

$$\zeta \equiv x + i y \quad B(\zeta) \equiv \mathcal{B}_y + i \mathcal{B}_x$$

$$B(\zeta) = \sum_{n=1}^{\infty} C_n \zeta^{n-1} \quad C_n = \frac{1}{2\pi i} \oint \frac{B(\zeta)}{\zeta^n} d\zeta$$

C_n are given by the value of $B(\zeta)$ on a circle \Rightarrow the overall field is determined by its value on a circle

COMPENSATION SCHEME

Determine the winding shape (for each winding) so that $B(z)$ is the desired one:

1) Use Biot & Savart (i.e. neglect the wire thickness)

$$\vec{B}(\vec{r}) = I \frac{\mu_0}{4\pi} \int \frac{\vec{w}'(l) \times (\vec{r} - \vec{w}(l))}{|\vec{r} - \vec{w}(l)|^3} dl$$

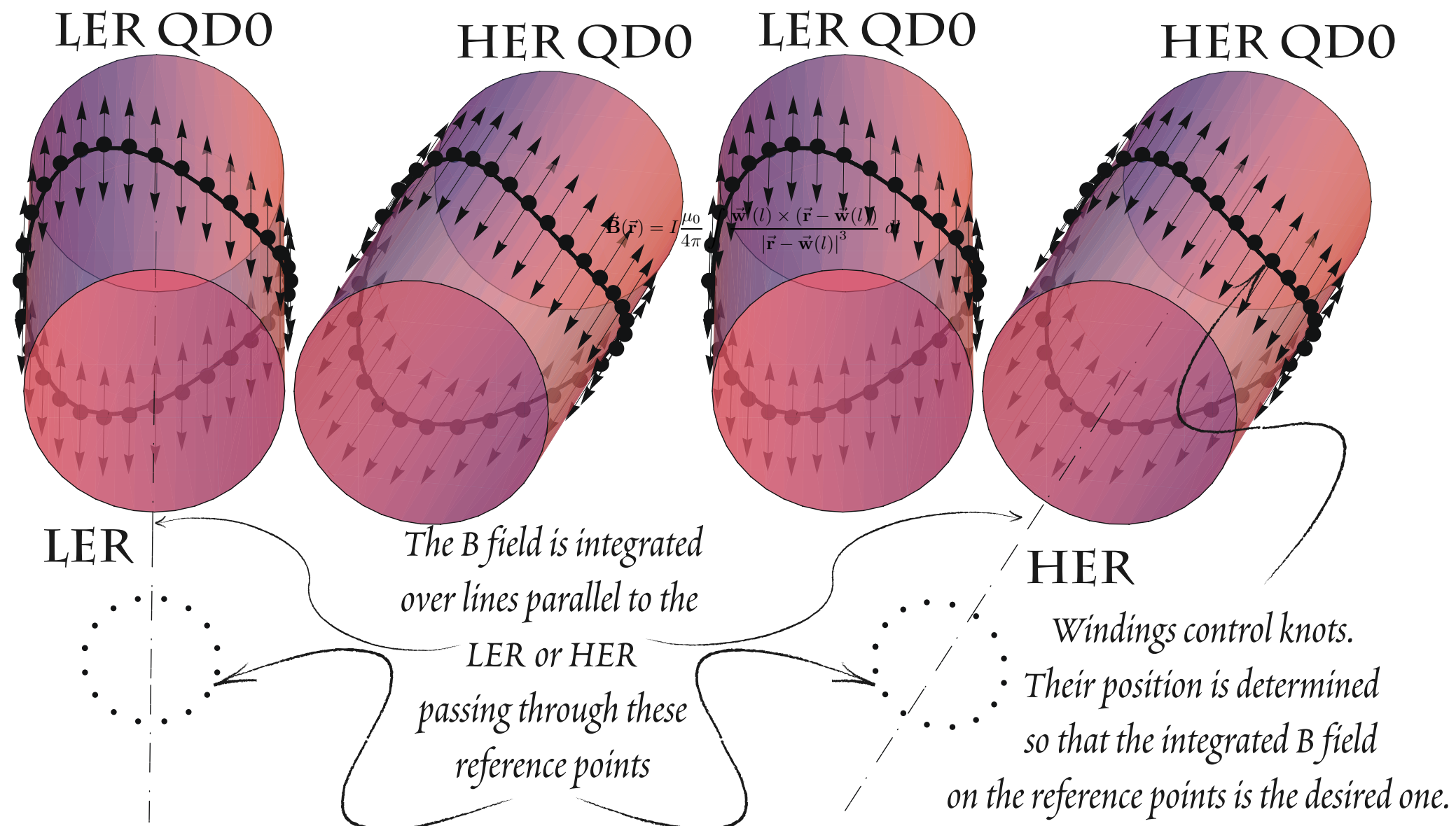
where $\vec{w}(l)$ gives the position of the center of the SC wires as a function of some continuous parameters l and I is the current flowing in the wire. From this expression one can obtain for \vec{B} :

$$\begin{aligned} \vec{B}(\vec{r}) &= \\ &= I \frac{\mu_0}{2\pi} \int \frac{\vec{w}'_{\parallel}(l) \times (\vec{r} - \vec{w}(l)) + \vec{w}'_{\perp}(l) \times (\vec{r}_{\perp} - \vec{w}_{\perp}(l))}{|\vec{r}_{\perp} - \vec{w}_{\perp}(l)|^2} dl \end{aligned} \quad (4)$$

COMPENSATION SCHEME

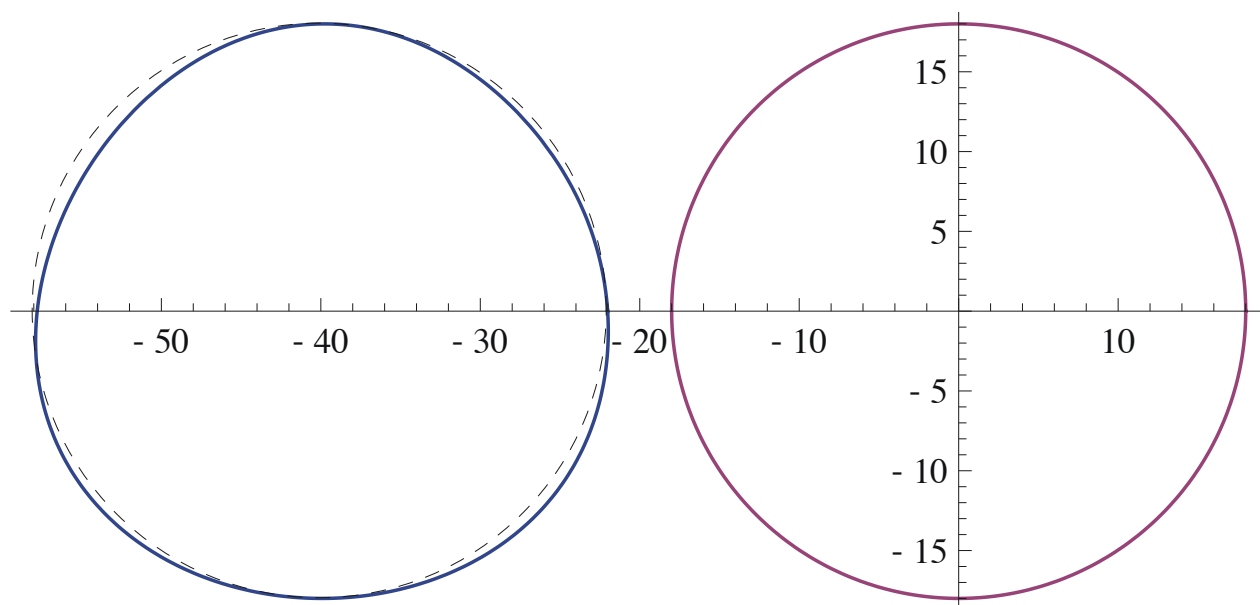
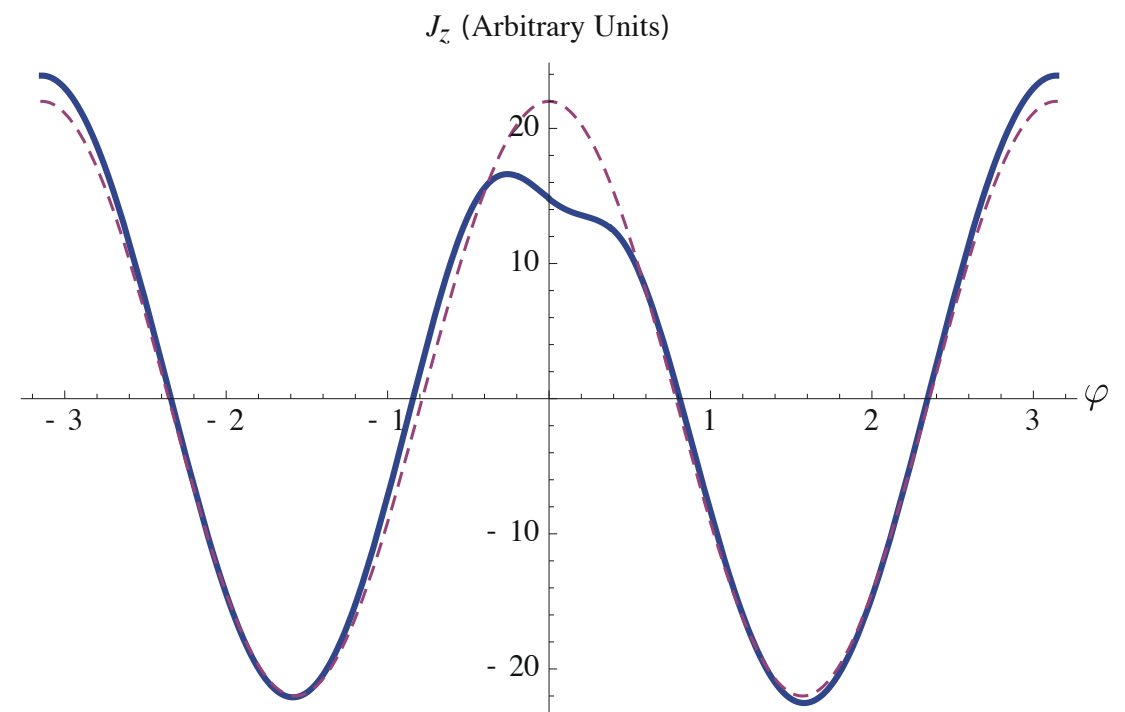
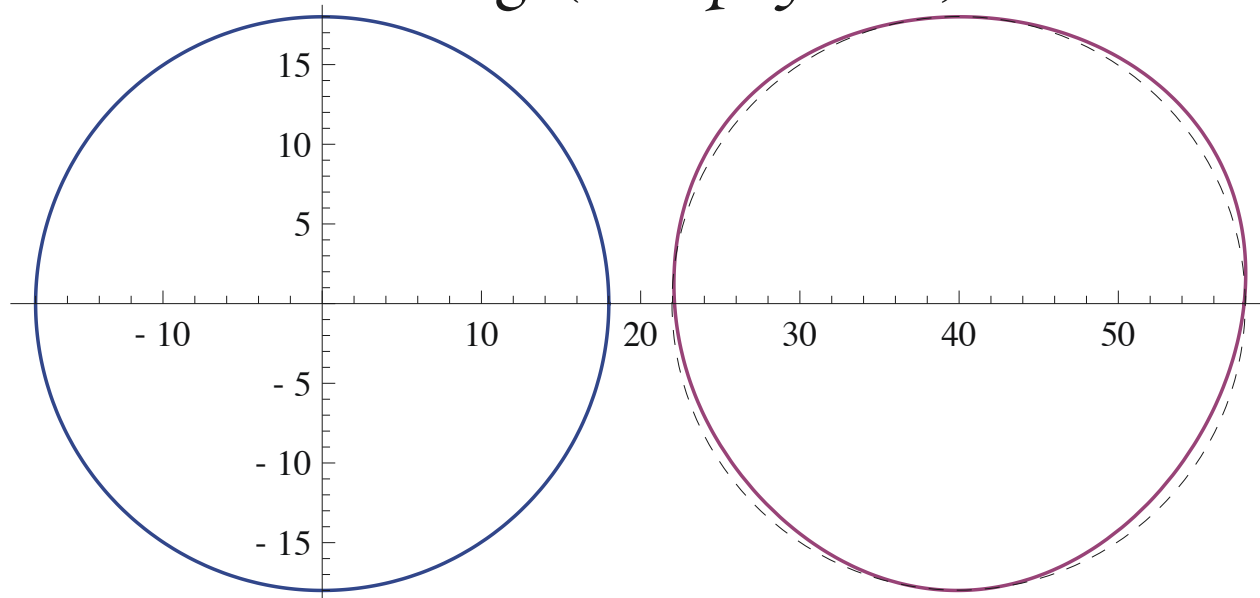
Parametrize $\vec{w}(l)$ as an interpolating polynomial controlled by N key points sliding along the support cylinder.

Determine the position of these N point in such a way that $B(z)$ is the desired one on N points over the reference circumference.

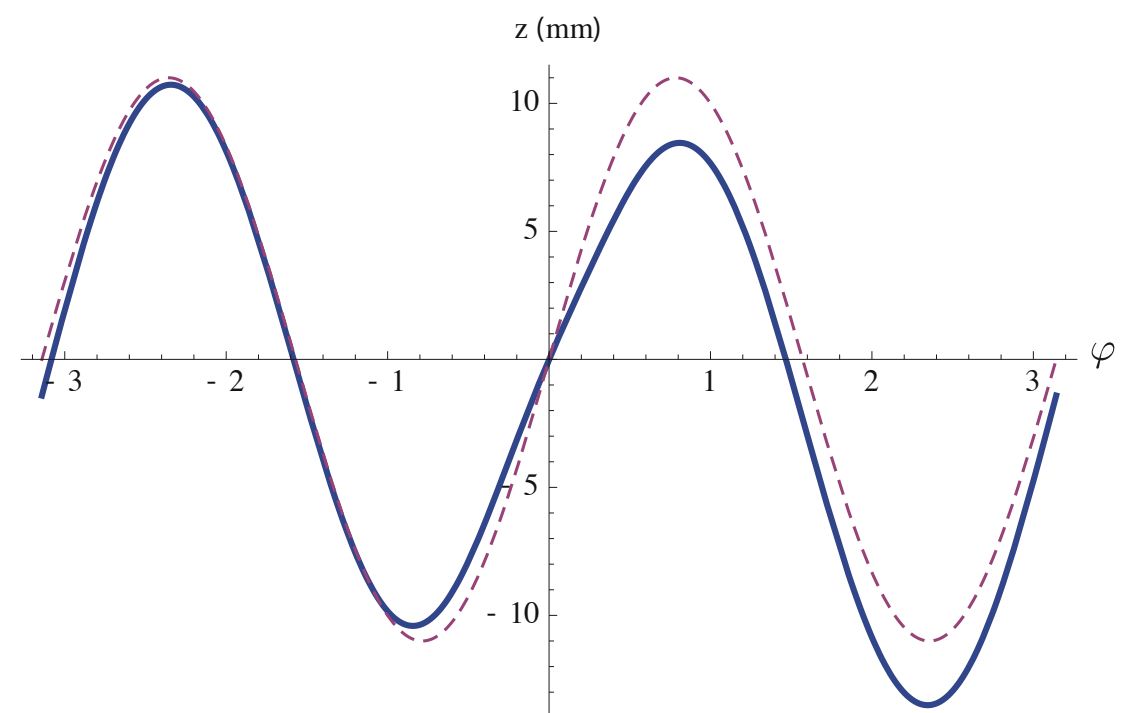


COMPENSATED WINDING SHAPE

Windings (LER projection)



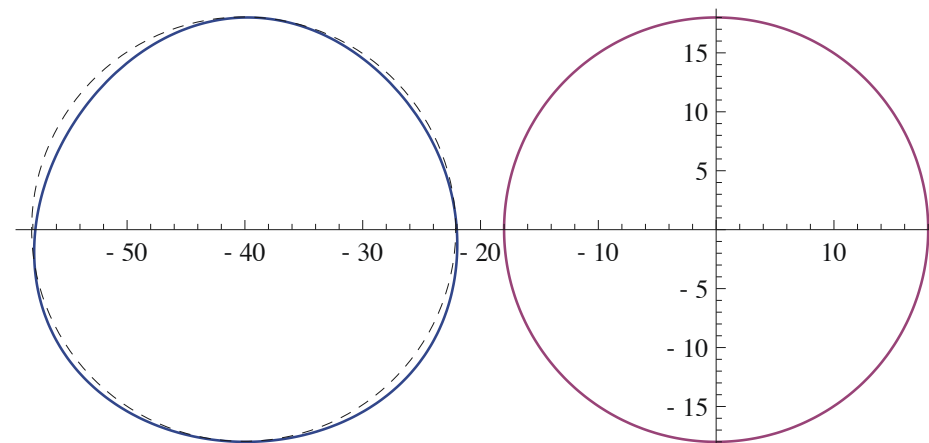
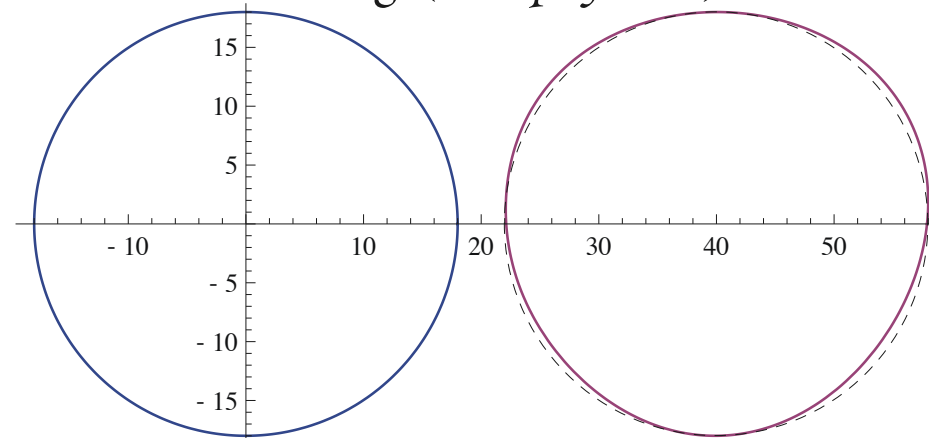
Windings (HER projection)



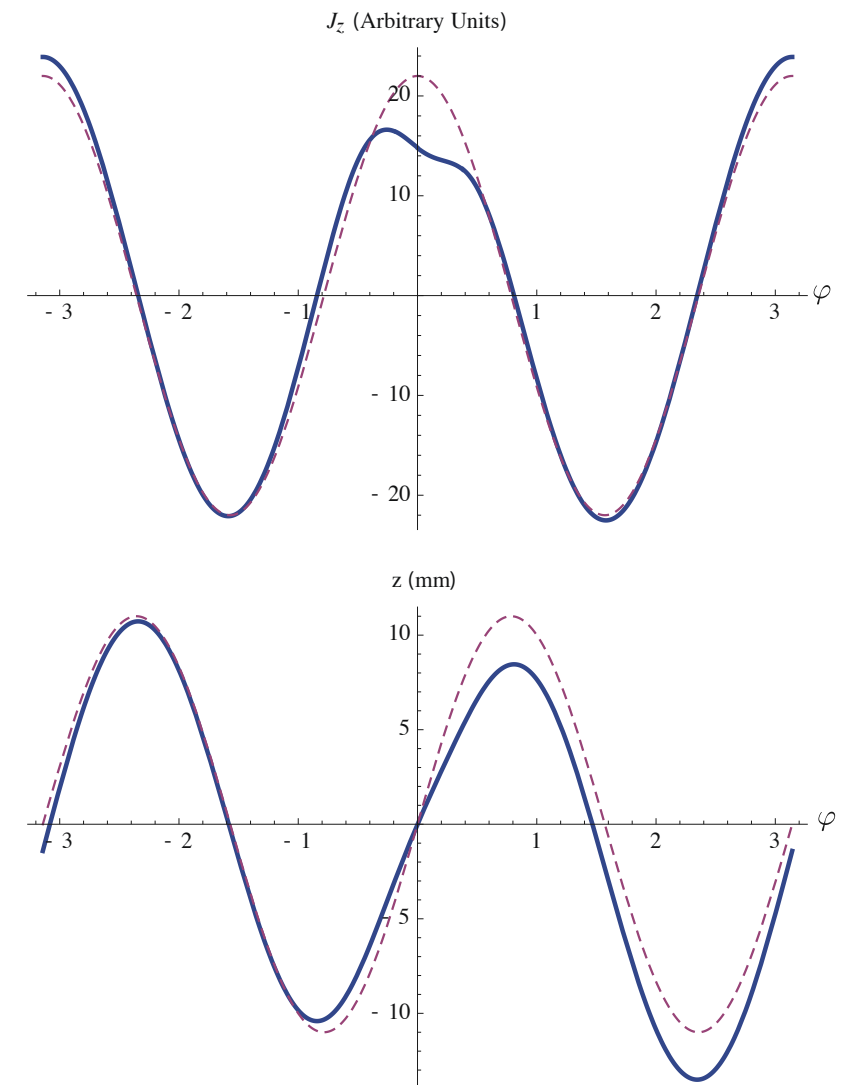
COMPENSATED WINDING SHAPE (PRELIM.)

$I=3000\text{A}$
 $N_{\text{turns}}=110$
 $\text{Gradient} = 100 \text{ T/m}$
 $\text{Magnetic Length}=300 \text{ mm}$
 $R = 18\text{mm}$
 $\text{CPU time for a single winding:}$
 $1700\text{s} \text{ (} N = 32 \text{ points/}$

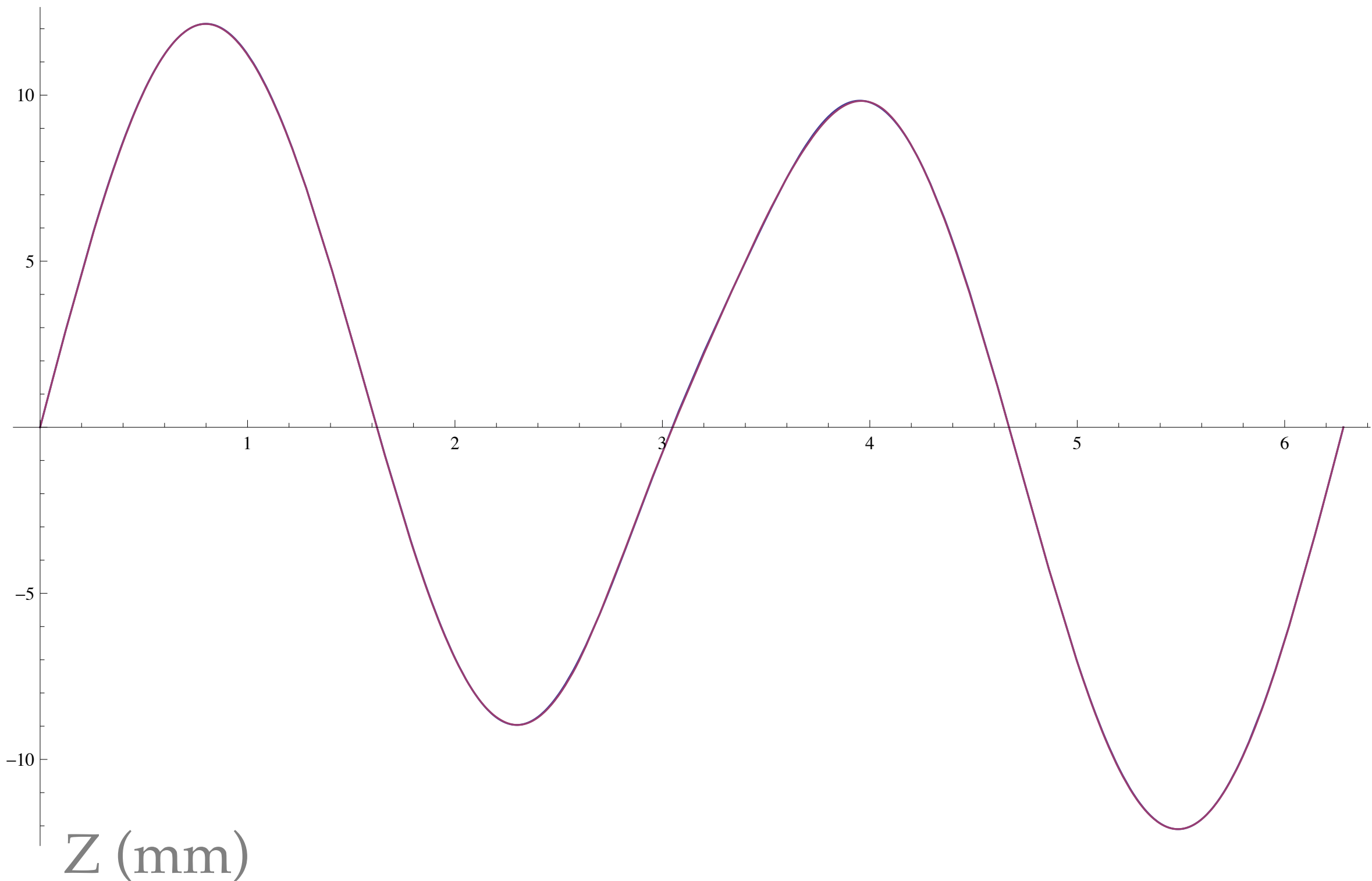
Windings (LER projection)



Windings (HER projection)

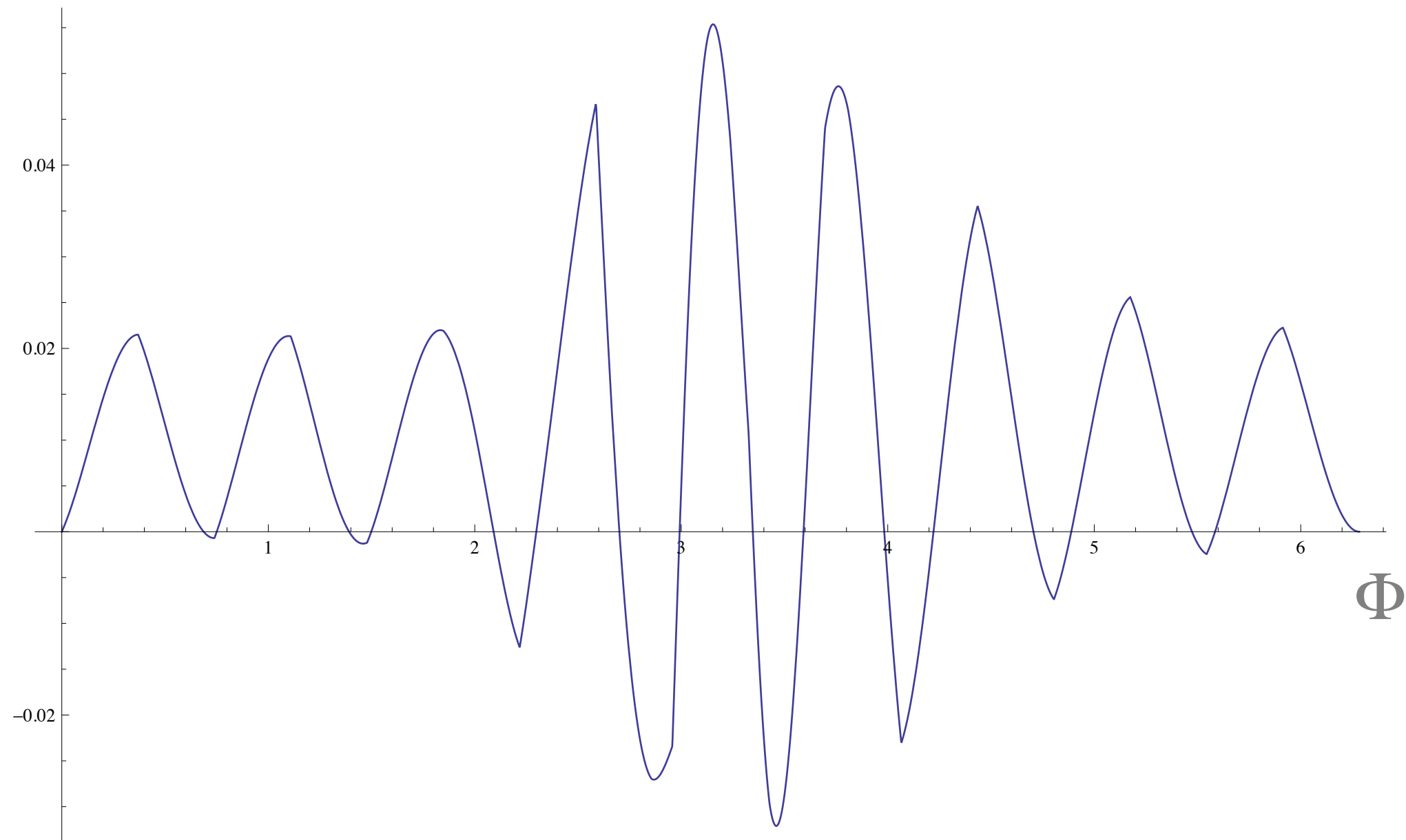


CONVERGENCE CHECK (N=16 vs N=32)



CONVERGENCE CHECK (N=16 vs N=32)

dZ (mm)



CONCLUSIONS

- An algorithm to compensate the cross talk for the twin QD0 with converging mechanical and magnetic axis had been presented
- Limitation:
 - The algorithm converges as long as each magnetic axis is parallel to the mechanical axis of its support cylinder
- Test passed:
 - The algorithm is able to find the single quadrupole solution
 - The algorithm is able to reproduce the twin quadrupoles with parallel axis compensation

Spares