Status of the MUonE experiment

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ANOMALOUS MAGNETIC MOMENT OF THE MUON

$$\overrightarrow{M_l} = g_l \frac{e}{2m_l} \overrightarrow{S}$$
 Dirac prediction $g_l = 2$ Quantum corrections give the anomaly: $a_l = \frac{g_l - 2}{2}$

Are those discrepancies still real? Hint of new physics?

Experimental average **FERMILAB+BNL**P. B. Aguillard et al., (2023) arXiv:2308.06230

Theoretical reference value (WP)

T. Aoyama et al., (2020) arXiv:2006.04822

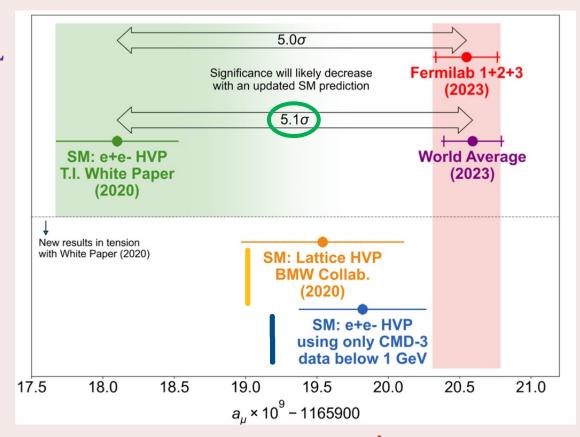
but...

Most precise **LQCD** result

T. Borsanyi et al., (2021) arXiv:2002.12347v3

New result from $e^+ - e^- \rightarrow \text{had cross}$ section with **CMD-3 data**

F. V. Ignatov et al., (2023) arXiv:2302.08834



- 1. Reduce the **experimental** error \longrightarrow Fermilab g-2 goal (0.54 ppm (BNL) \rightarrow 0.20 ppm $\stackrel{goat}{\longrightarrow}$ 0.14 ppm)

$$a_{\mu}^{SM} = a_{\mu}^{QED} + a_{\mu}^{EWK} + (a_{\mu}^{had}) \rightarrow a_{\mu}^{HLO} \rightarrow 0.6\%$$

MUONE PROPOSAL

Independent estimate of a_{μ}^{HLO} through innovative method:

C.M. Carloni Calame, et al. Phys.Lett.B746(2015)325

$$a_{\mu}^{HLO} = \frac{\alpha}{\pi} \int_{0}^{1} dx \ (1 - x) \Delta \alpha_{had}[t(x)]$$
 Smooth function Space-like

Proposed process to measure $\Delta \alpha_{had}$: elastic scattering

G.Abbiendi et al., Eur. Phys. J. C77(2017)139; B. E. Lautrup et al., Phys. Rept. 3 (1972) 193

$$\mu (160 GeV) + e^-(rest) \rightarrow \mu + e^-$$

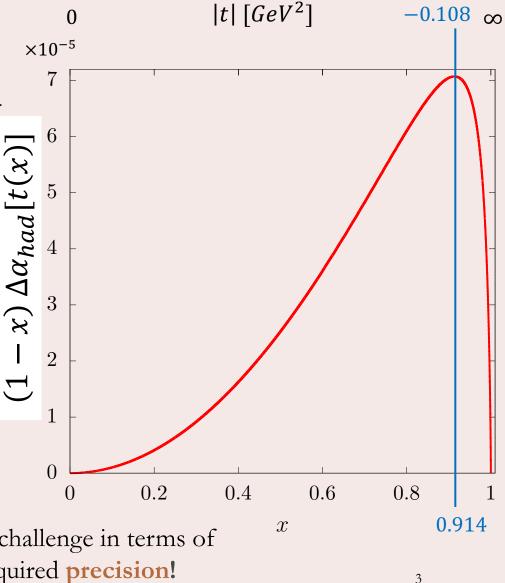
M2 muon beam at CERN SPS

$$\frac{d\sigma}{dt} = \frac{d\sigma_0}{dt} \left| \frac{1}{1 - \Delta\alpha(t)} \right|^2 \xrightarrow{\text{Template fit}} \Delta\alpha_{had}(t) \xrightarrow{\text{integral}} \alpha_{\mu}^{HLO}$$

$$\Delta\alpha(t) = \Delta\alpha_{lep}(t) + \Delta\alpha_{had}(t)$$

Required precision on $a_{\mu}^{HLO} < 1\%$ implies a relative precision of $\sim 10^{-5}$ on the shape of the elastic differential cross section

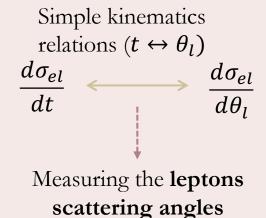




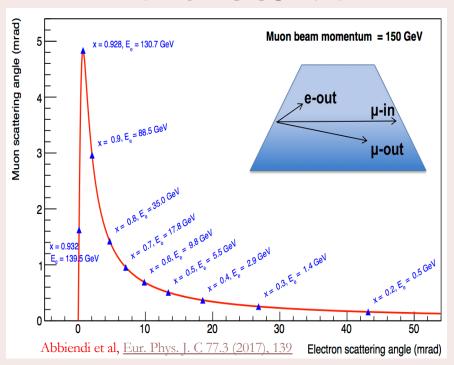
THEORETICAL

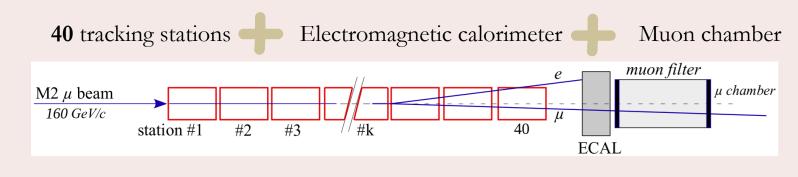
Great challenge in terms of required precision!

EXPERIMENTAL APPARATUS



ELASTIC CURVE

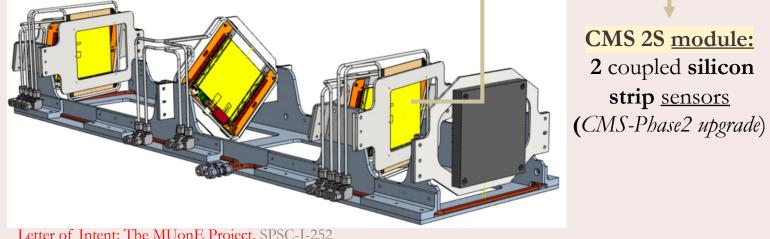




Each <u>tracking station</u> behaves as an independent detector

→ 1 beryllium or carbon target **6** silicon strip modules

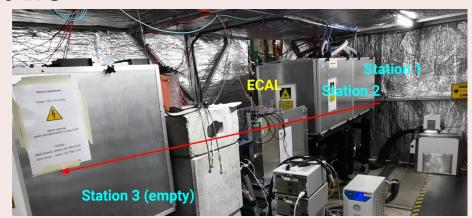
Modular layout to achieve the necessary interaction rate minimizing systematic effects (e.g. MCS)



Letter of Intent: The MUonE Project, SPSC-I-252

TEST RUN 2023

- 160 GeV muons of **M2 beam** line at CERN North Area;
- Max asynchronous rate at 50 MHz ($2 \times 10^8 \mu$ per spill);
- <u>Setup</u>: 2 tracking stations (6 modules each) + ECAL;
- Triggerless DAQ at 40 MHz → Large data volumes processed *offline*.



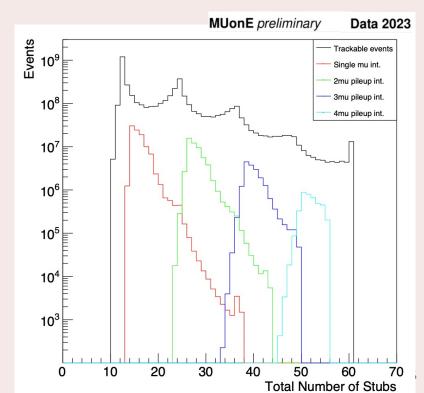
• **Plan** is to have data filter on **FPGA**; <u>now</u> an offline <u>skimming</u> algorithm has been implemented to <u>preselect candidate events</u> from <u>target interaction</u>: base on number of hits in the two stations

On ~ 12 B merged events, the skimming procedure reduced the output at $\sim few\%$.

Different classes of candidate events are well separated:

- 1. Single muon interactions:compatible with *1 incoming muon* in station0 + some *interaction* in station1
- 2. 2,3,4 pile-up muons with interaction compatible with *N incoming muons* in station0 + some *interaction* in station1

Fig: Fraction of different event multiplicities, in 2023 data, after skimming based on hits patterns.

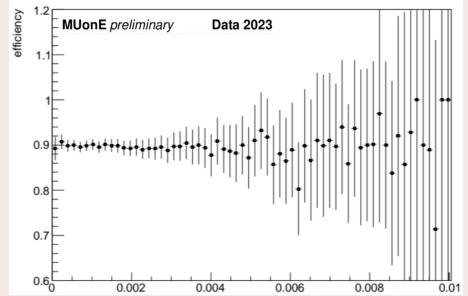


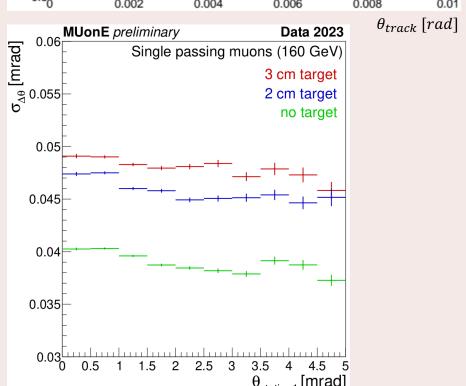
SOME RESULTS WITH DATA COLLECTED IN 2023

- 1. Tracking efficiency as a function of selected golden muon's angle:
 - Average module efficiency ~ 98%;
 - Given passing muons with 6 hits in first station, look for reconstructed muon in the second station.

Result: *flat* efficiency at ~ 90% → consistent with combinatorial result of individual module efficiency.

- 2. Angular resolution as a function of selected golden muon's angle for different target sizes:
 - $\Delta\theta = \theta_{st1} \theta_{st0} \rightarrow \text{Sensitive to: intrinsic resolution,}$ residual misalignment, multiple scattering (MS)
 - → Estimate of **MS** consistent with calculation with **PDG** MS prediction.





SEARCHING FOR ELASTIC EVENTS

Analysis of one run of TB2023 \rightarrow Data taken with 2 and 3 cm target First studies done on sample compatible with single muon interactions

Distribution of reconstructed vertx Z position in candidate events with 2 and 3 cm target runs

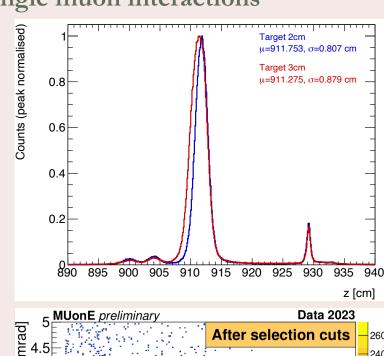
Before selection cuts

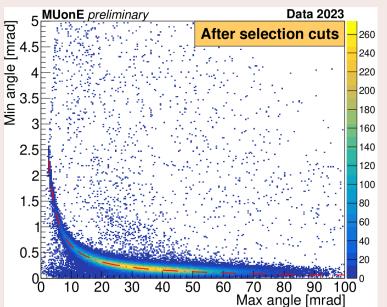
3000

2.5

1.5

0 10 20 30 40 50 60 70 80 90 100 Max angle [mrad]



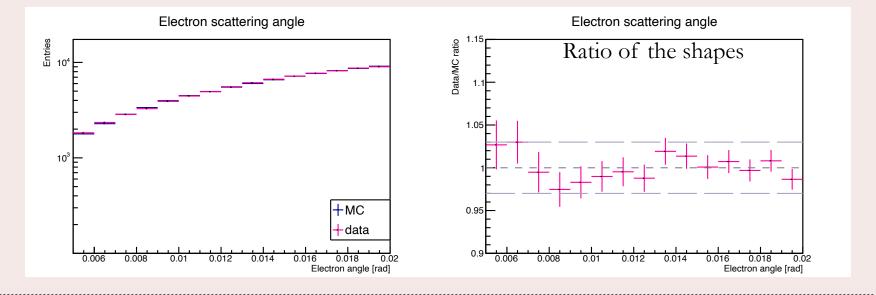


2D distribution of scattering angles in candidate events of the run before and after a basic elastic selection

DATA/MC COMPARISON USING TR 2023 DATA:

FIRST STUDIES

- 1. Run of 97×10^6 filtered events (single mu interaction) compared with MC sample of 10.5×10^6 weighted elastic events
- 2. Fiducial and elastic selections (details in backup) are applied
- 3. To compare the shapes of the angular distributions, normalization is to the number of real data events.



First studies: Data/MC shapes as a function of **electron angle** is within gray band $\rightarrow \pm 3\%$

For the running of $\alpha(t)$ to be observed, the MC description of angular <u>shapes must be</u> accurate to within at least $\pm 0.5\% \rightarrow \text{work in progress to improve the comparison}$. Next months important developments are attended!

CONCLUSIONS

- MUonE proposes an innovative and independent method for the <u>evaluation</u> of the hadronic vacuum polarization term at LO a_{μ}^{HLO} which is <u>alternative</u> with the *previous ones*. Great possibility to *shade some light* on this intriguing puzzle!
- First results and data/MC comparisons have been done with 2023 TR data;
- Shapes comparisons of electron angle distributions stands within $\pm 3\%$. However, for the running of $\alpha(t)$ to be observed, the MC description of angular shapes *must be accurate* to within at least $\pm 0.5\%$. Several improvements are attended next months;
- Next important step:
 - 2025 Phase 1: we presented a technical proposal to the SPSC in June for 4 weeks of running time in 2025 to study the expected systematic errors and background under realistic conditions and make preliminary measurements of $\Delta \alpha$ (t).

BACKUP

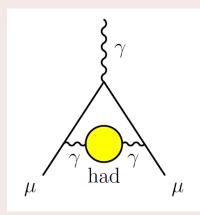
F.Jegerlehner, EPJ Web Conf. 118 (2016) 01016

Anomalous magnetic moment of the muon

$$a_{\mu}^{SM} = \underline{a_{\mu}^{QED} + a_{\mu}^{EWK} + a_{\mu}^{had}}$$

Precise estimates from perturbation theory

 $a_{\mu}^{HLO} + higher$ order terms



Reference approach (WP before BMW) is data-driven:

$$a_{\mu}^{HLO} = \left(\frac{\alpha m_{\mu}}{3\pi}\right)^{2} \int_{4m_{\pi}^{2}}^{\infty} ds \frac{\widehat{K}(s)R_{had}(s)}{s^{2}} \xrightarrow{R_{had}(s)} \frac{R_{had}(s) \propto \sigma(e^{-}e^{+} \to had)}{\text{measurements}}$$

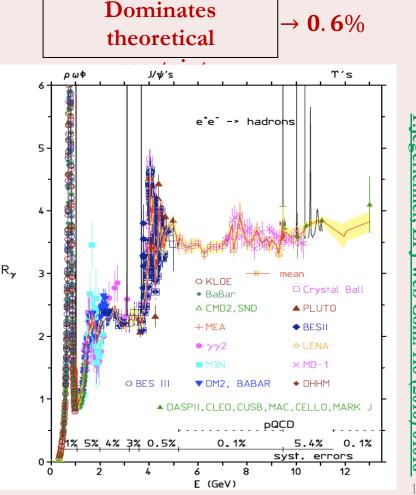
Alternative methods are needed



Main contribution: region of low energies, highly fluctuating because of hadronic resonances and threshold effects

The new estimate of a_{μ}^{HLO} from <u>LQCD</u> (BMW) weeken $\Delta a_{\mu}(th - exp)$ discrepancy, but introduces some tensions with the data-driven method.

Hadronic contribution to the LO vacuum polarization term a_{μ}^{HLO} is not calculable through pQCD



Analysis: $\Delta \alpha_{had}$ parametrization and a_{μ}^{HLO} estimate

G. Abbiendi, <u>Phys. Scr. 97 (2022) 054007;</u> [arXiv: 2201.13177]

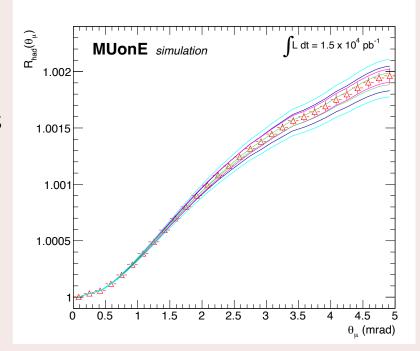
Inspired to the 1 loop QED calculation of the leptonic and $t\bar{t}$ pair vacuum polarization term

Parametrization with **two** variables $K \in M$:

$$\Delta\alpha_{had}(t) = KM \left\{ -\frac{5}{9} - \frac{4}{3}\frac{M}{t} + \left(\frac{4}{3}\frac{M^2}{t^2} + \frac{M}{3t} - \frac{1}{6}\right) \frac{2}{\sqrt{1 - \frac{4M}{t}}} \ln \left| \frac{1 - \sqrt{1 - \frac{4M}{t}}}{1 + \sqrt{1 - \frac{4M}{t}}} \right| \right\}$$

- 1. Template fit: generation of a grid of points in the parameters space (K, M);
- 2. R_{had} distribution as a function of the leptons scattering angle for different templates;
- 3. χ^2 of the data and templates.

$$R_{had} = \frac{d\sigma_{data} (\Delta\alpha_{had})/d\theta}{d\sigma_{MC}(\Delta\alpha_{had} = 0)/d\theta}$$



DATA-MC COMPARISON

<u>Data</u> sample: run $6 \rightarrow 97 \times 10^6$ events after skimming to be reconstructed

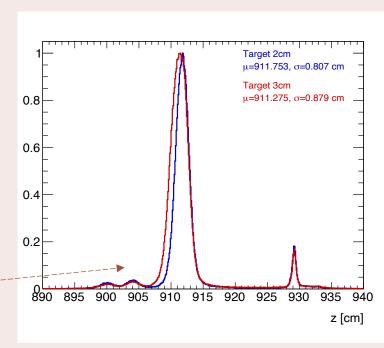
 $\underline{\text{MC}}$ sample: MESMER signal $\rightarrow 10.5 \times 10^6$ generated <u>signal</u> events to be reconstructed with **realistic geometry** (*misalignment* from metrology are introduced)

Fiducial selection:

- $N_{stubs_{so}} = 6 \rightarrow 1$ per module: golden muon (GM);
- GM impinges last 2 modules in S0 within ± 1.5 cm from centre in X and Y;
- Reconstructed GM with $\theta < 4 \, mrad$;
- Reconstructed GM track $\chi^2 < 2$.

Elastic selection:

- $N_{stubs_{S1}} \leq 15$;
- Reconstructed vertex with $z_{vrtx} > 906 cm$;
- $\theta_{\mu} > 0.2 \ mrad + 5 < \theta_{e} < 32 \ mrad$;
- $|A_{\phi}| < 0.4 \, mrad$
- Elasticity condition: $|\theta_{\mu}^{rec} \theta_{\mu}^{th}(\theta_{e}^{rec})| \leq 0.2 \ mrad$



- >5 mrad: Avoid ambiguities in PID
- <32 mrad: geometrical acceptance to have flat efficency

$$\theta_{\mu}(\theta_e) = \arcsin \left\{ \sin \theta_e \sqrt{\frac{E_e^2(\theta_e) - m_e^2}{[E_{\mu} + m_e - E_e(\theta_e)]^2 - m_{\mu}^2}} \right\}$$

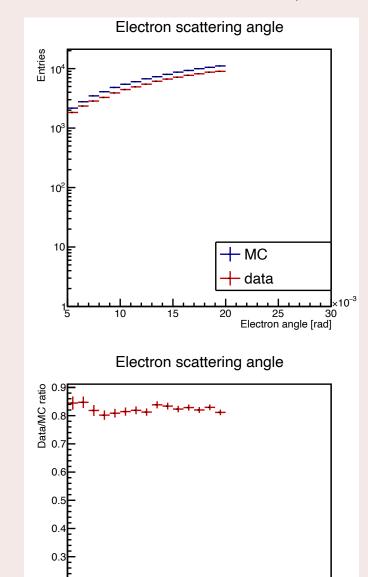
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- 1. Run of 97×10^6 filtered events (single mu interaction) is compared with a MC sample of 10.5×10^6 weighted elastic events
 - 2. Fiducial and elastic selections (details in backup) are applied
 - 3. To have an absolute comparison, normalization of MC to the absolute luminosity:

Events passing fiducial selection Elastic cross section from MC
$$\leftarrow$$
 $L_{MC} = \frac{\sum_{j} w_{j}(fiducial)}{\sigma_{el}}$ Golden muons on target
$$L_{RD} = N_{\mu o T} \cdot d_{target} \cdot \rho_{target}^{e} \longrightarrow \text{Electron density target}$$

4. To compare the shapes of the angular distributions normalization to the number of real data events.

DATA/MC COMPARISON USING TR 2023 DATA



Electron angle [rad]

ABSOLUTE NORMALIZATION

Flat region of $5 \ mrad < \theta_e < 20 \ mrad$

Track with at least 5 stubs,

2 tracks reconstruction efficiency, given modules efficiency $\epsilon = 0.980 \pm 0.005$:

$$\epsilon_{2t} = \epsilon_{1t} \times \epsilon_{1t} = 0.850 \pm 0.035$$
where
$$\epsilon_{1t} = \epsilon^6 + 2(1 - \epsilon)\epsilon^5$$

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