Astrophysical GWBs

Cosmological GWBs

A new idea for GWB data analysis $_{\rm OOOO}$

Conclusions and outlook

Measuring Gravitational Wave Backgrounds (GWBs) with LISA

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A new idea for GWB data analysis

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 - Astrophysical GWB sources in the LISA band
 - Learn something new about astro

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Laser Interferometer Space Antenna



Few details on LISA:

- First GW interferometer in space
- Constellation of three satellites
- 2.5 million km arm lengths
- Peak sensitivity $10^{-2} \div 10^{-3}$ Hz
- Three correlated detectors
- Expected launch in 2034
- Operating for 4yrs (nominal)

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Very interesting for cosmology since we can (among others):

- Measure H₀
- Test modified gravity
- (Hopefully) detect and characterize GWBs!

 * Figures from: https://www.lisamission.org/multimedia/image/lisa-astro2020
 LISA Collaboration, P. Amaro-Seoane et al., ArXiv: 1702.00786

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GW Backgrounds (GWBs)

GWBs detection and characterization

<u>GWBs</u> are:

- Stochastic signals from the whole sky
- Signals with no phase coherency
- Of cosmological or astrophysical origin
- Invaluable source of information (HEP!)
- A target for all future detectors



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Detection prospects?

- At least two GWB components (sBHBs and CGBs) are guaranteed signals for LISA!
- News from LVK + future Earth-based interferometers (LIGO-India, ET, CE, ...)??
- Hints of GWB detection from millisecond pulsars timing experiments ...

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Few characteristics to classify GWBs: Isotropy / Anisotropy

- Stationary / Non-stationary
- Polarized / Unpolarized
- Statistical properties
- Frequency shape

* Figure from: https://www.ligo.org/science/GW-Overview/images/stochastic.jpg

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GW Backgrounds (GWBs)

Some general ingredients

- Data \tilde{d} (in frequency space) \longrightarrow $\tilde{d} = \tilde{s} + \tilde{n}$
- For individual sources $\langle \tilde{s} \rangle \neq 0$
- For GWBs $\langle \tilde{s} \rangle = 0$

• For noise $\langle \tilde{n} \rangle = 0$

For an isotropic GWB $\longrightarrow \langle h_{\lambda}(\vec{k}) h_{\lambda'}^*(\vec{k'}) \rangle \propto \delta_{\lambda\lambda'} P_h^{\lambda}(k) \delta(\vec{k} - \vec{k'})$

Assuming $\langle \tilde{s}\tilde{n} \rangle = 0$ and Gaussian signal and noise

$$\left\langle \tilde{d}^{2} \right\rangle = \left\langle \tilde{s}^{2} \right\rangle + \left\langle \tilde{n}^{2} \right\rangle = \sum_{\lambda} \mathcal{R}_{\lambda} P_{h}^{\lambda} + N \equiv \mathcal{R} \left[P_{h} + S_{n} \right]$$

where we have introduced

- The (quadratic) response function of the instrument ${\cal R}$
- The (intensity of the) signal power spectrum P_h (in 1/Hz)
- The noise power spectrum N (in 1/Hz)
- The (square of the) Strain sensitivity S_n (in 1/Hz)

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In order to compare with cosmological predictions it's customary to introduce

$$\begin{split} \Omega_{\rm GW} &\equiv \frac{1}{3H_0^2 M_p^2} \frac{\partial \rho_{\rm GW}}{\partial \ln f} = \frac{4\pi^2}{3H_0^2} f^3 P_h \qquad \text{and} \qquad \Omega_n(f) = \frac{4\pi^2}{3H_0^2} f^3 S_n(f) \ , \\ \text{where } H_0 &\simeq h_0 \times 3.24 \times 10^{-18} \, \text{Hz} \text{ is the Hubble parameter today.} \qquad 5/26 \end{split}$$

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Sources of GWBs in the LISA



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Astrophysical GWB sources in the LISA band

Estimating the GWB from an astro population

First option: analytical estimation (see E.S. Phinney, ArXiv:astro-ph/0108028).

The total energy of the GWB can be computed as:

$$\frac{\rho_{\rm GWB}^{\rm (tot)}}{\rho_c} = \int_0^\infty \frac{{\rm d}f}{f} \,\Omega_{\rm GWB}(f) = \int {\rm d}\xi \int {\rm d}V_c \int {\rm d}\tau_c \, \frac{{\rm d}^3 N(z,\tau_c,\xi,\theta)}{{\rm d}\xi {\rm d}V_c {\rm d}\tau_c} \, \frac{\rho_{\rm GW}^{\rm (event)}}{\rho_c} \, .$$

where ξ are the source parameters, θ the population hyper-parameters.

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where ξ are the source parameters, θ the population hyper-parameters.

Second option: iterative method

- Get the whole data set including noise + signal from all the sources
- Smooth it (using running mean or median) and compute the SNR of each source in the catalog
- Remove high SNR sources (given some threshold) and go back to point until convergence is reached

N. Karnesis et al., Phys.Rev.D 104 (2021) 4, 043019, ArXiv:2103.14598.



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Astrophysical GWB sources in the LISA band

Several astrophysical populations might source GWBs



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LVK populations and general properties of the catalogs

sBHB catalogs require:

- Time-to-coalescence
- Sky localization
- Inclination / orientation
- Initial phase
- Redshift distribution
- Mass function
- Spin distribution

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LVK populations and general properties of the catalogs

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Populations are	provided	by	LVK!
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tion Time-to-coalescence (source frame) $U[0, \tau_{c,\max}^{(det)}/(1+z)]$ yrs Ecliptic Longitude $U[0, 2\pi]$ rad Ecliptic Latitude $\arctan(U[-1, 1])$ rad Inclination $\arctan(U[-1, 1])$ rad Polarization $U[0, 2\pi]$ rad Initial Phase $U[0, 2\pi]$ rad		Parameter	Prior
tion Ecliptic Longitude $U[0, 2\pi]$ rad Ecliptic Latitude $\arcsin(U[-1, 1])$ rad Inclination $\arccos(U[-1, 1])$ rad Polarization $U[0, 2\pi]$ rad Initial Phase $U[0, 2\pi]$ rad		Time-to-coalescence (source frame)	$U[0, \tau_{c,\max}^{(det)}/(1+z)]$ yrs
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$\begin{array}{c c} & \text{Inclination} & \arccos{(U[-1,1]) \text{ rad}} \\ & \text{Polarization} & U[0,2\pi] \text{ rad} \\ & \text{Initial Phase} & U[0,2\pi] \text{ rad} \end{array}$		Ecliptic Latitude	$\arcsin\left(U[-1,1]\right)$ rad
Polarization $U[0, 2\pi]$ radInitial Phase $U[0, 2\pi]$ rad	ı	Inclination	$\arccos\left(U[-1,1]\right)$ rad
Initial Phase $U[0, 2\pi]$ rad		Polarization	$U[0,2\pi]$ rad
		Initial Phase	$U[0,2\pi]$ rad

Rate of events $R(z)$	Mass distribution	Spin distribution
$R_{0.2} = 28.1 \mathrm{Gpc}^{-3} \mathrm{yrs}^{-1}$ $\kappa = 2.7$ $z_{\mathrm{peak}} = 2.04$ r = 3.6	$\begin{split} & [m_{\min}, m_{\max}] \in [2.5, 100] M_{\odot} \\ \delta_{\min} &= 7.8 M_{\odot} \\ \alpha &= 3.4 \\ \lambda_{\text{peak}} &= 0.039 \\ \mu_m &= 34 M_{\odot} \\ \sigma_m &= 5.1 M_{\odot} \\ \beta_q &= 1.1 \end{split}$	E[a] = 0.25 Var[a] = 0.03 $\zeta = 0.66$ $\sigma_t = 1.5$

LVK collaboration, Phys. Rev. X 13 (2023) 1, 011048, ArXiV:2111.03634

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Redshift distribution

LVK $\longrightarrow R(z) \propto R_0(1+z)^{\kappa}$, but observations constrain only at low z (≤ 1)!

To fix the behavior for $z \gtrsim 1$ we assume sBHBs track the Star Formation Rate:

$$R_{
m SFR}(z) \propto R_0 (1+z)^\kappa / \left[1 + rac{\kappa}{r} \left(rac{1+z}{1+z_{
m peak}}
ight)^{\kappa+r}
ight]$$

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Redshift distribution

 $LVK \longrightarrow R(z) \propto R_0(1+z)^{\kappa}$, but observations constrain only at low z ($\lesssim 1$)!

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Including delay between formation and merger $\longrightarrow R(z) = \int_{t_d,\min}^{d,\max} R_{\rm SFR}(t(z)+t_d)p(t_d) dt_d$

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Redshift distribution

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SGWB detectability and reconstruction with LISA



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Comparison with LVK measurements

How much does the determination of the SGWB amplitude improve?



S. Babak et al., JCAP 08 (2023) 034, ArXiv:2304.06368.

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Complementarity with LVK measurements

Improvement in the determination of the mass parameters ↓ The posterior distribution shrinks significantly



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Complementarity with LVK measurements





Improvement in the determination of the redshift parameters ↓ Different degeneracy and

very accurate determination of κ

S. Babak et al., JCAP 08 (2023) 034, ArXiv:2304.06368.

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Sources of GWBs in the LISA



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Inflation



* Figures from D. Baumann, ArXiv:0907.5424 For models, see, e.g., N. Bartolo et al., *JCAP 12 (2016) 026*, ArXiv:1610.06481 or LISA Cosmology Working Group, ArXiv:2405.03740.



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Cosmic Strings





Gouttenoire, Servant and Simakachorn JCAP 07 (2020) 032, ArXiv:1912.02569, Auclair et al. JCAP 04 (2020) 034, ArXiv:1909.00819, Cui, et al. Phys.Rev.D 97 (2018) 12, 123505, ArXiv:1711.03104. 16/26

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First order phase transitions



Bubble collisions, sound waves in plasma, and MHD turbulence contribute to GWB!

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First order phase transitions



Bubble collisions, sound waves in plasma, and MHD turbulence contribute to GWB! In SM both EW and QCD PTs should be second order \implies Detection implies BSM!



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Learn something new about HEP

Forecasting LISA constraints I

```
Choose a template
Get forecasts (e.g., using Fisher
Information Matrix (FIM)) on
   the template parameters
   Convert in constraints on
       model parameter
      Forecast constrains
   on fundamental physics!
```

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Learn something new about HEP

Forecasting LISA constraints I

Choose a template Get forecasts (e.g., using Fisher Information Matrix (FIM)) on the template parameters Convert in constraints on model parameter Forecast constrains on fundamental physics! Example: a power-law $\Omega_{\rm GW} h^2 = 10^{\log_{10}(h^2 \Omega_*)} \left(\frac{f}{f}\right)^{n_T}$







LISA Cosmology Working Group, ArXiv:2405.03740.

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Forecasting LISA constraints II

Validate Fisher with some more realistic data analysis pipeline e.g, SGWBinner

(see C. Caprini et al. JCAP 11 (2019) 017, ArXiv:1906.09244. R. Flauger et al. JCAP 01 (2021) 059, ArXiv:2009.11845.)



LISA Cosmology Working Group, ArXiv:2405.03740.

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Forecasting LISA constraints III



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Forecasting LISA constraints III



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ML for GWB data analysis

Traditional methods (MCMC, nested sampling, whatever) are quite efficient and guaranteed to converge (in some cases)

but

scale poorly with number of parameters and require explicit likelihoods

Can alternative approaches perform better in some cases?

A new idea for GWB data analysis $_{\odot OOO}$

Conclusions and outlook

ML for GWB data analysis

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but

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Can alternative approaches perform better in some cases?

Normally, with Bayesian inference, we try to study the posterior probability:

$$p(heta|d) = rac{p(d| heta) \pi(heta)}{p(d)} \equiv r(d, heta) \pi(heta) ,$$

where we have introduced:

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i.e., $r(d, \theta)$ is the ratio between joint probability and marginal probability. Given a pair (θ, d) , $r(d, \theta)$ can be used to assess whether θ can generate d!

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i.e., $r(d, \theta)$ is the ratio between joint probability and marginal probability. Given a pair (θ, d) , $r(d, \theta)$ can be used to assess whether θ can generate d!

This can be cast in a minimization problem that can be solved with ML the approach is typically referred to as Neural Ratio Estimation (NRE) (basically build a classifier to say whether θ , d are joint or marginal...).

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Recover previous results I ...

Assume we inject a power law signal: Can we recover it with the same level of accuracy?



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Recover previous results I ...



Code available at https://github.com/PEREGRINE-GW/saqqara/

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Conclusions and outlook

... plus something completely new!

What if there's something else beyond GWB and noise?



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Conclusions and outlook

... plus something completely new!

What if there's something else beyond GWB and noise?



For example, assume some sources slightly below the threshold for detection are randomly injected.

Would this still work??

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Conclusions and outlook

... plus something completely new!



James Alvey et al., Phys. Rev. D 109 (2024) 083008, ArXiv:2309.07954. Code available at https://github.com/PEREGRINE-GW/saqqara/



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What about noise non-stationarities?

The noise won't be stationary for the whole mission duration ...

How does this impact the signal parameters reconstruction?

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Conclusions and outlook

What about noise non-stationarities?

The noise won't be stationary for the whole mission duration ...

How does this impact the signal parameters reconstruction?

A strategy to answer this question:

- Cut the data into shorter segments (where stationarity holds)
- Analyze segment-by-segment
- Ombine the results

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How does this impact the signal parameters reconstruction?

A strategy to answer this question:

- Out the data into shorter segments (where stationarity holds)
- 2 Analyze segment-by-segment
- Ombine the results

Looks like you actually do better!



James Alvey et al., ArXiv:2408.00832. Code available at https://github.com/PEREGRINE-GW/saqqara/ See also https://github.com/Mauropieroni/GW_response

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Conclusions and outlook $\circ \circ$

Conclusions and outlook

Some general conclusions:

- GWBs are quite interesting sources for LISA
- $\bullet~{\sf GWBs}$ of astrophysical origin \rightarrow info on astro populations
- GWBs of cosmological origin \rightarrow new window on BSM!

New ideas and tools will be necessary:

- Identification of "smoking-gun" observables (chirality, anisotropy, time modulations, statistical properties, ...)
- Data analysis techniques to fully exploit the data
- Cross-correlations with other probes (CMB, LSS, ...?)

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The end

Thank you for your attention

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