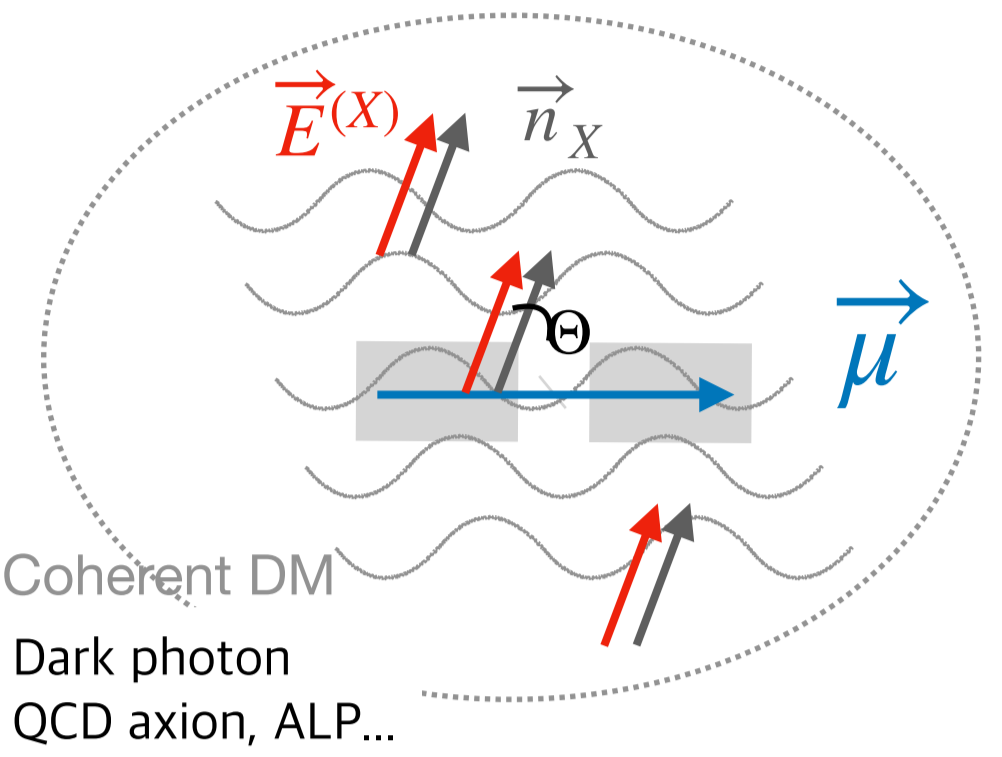


Search for dark photon dark matter using large-scale superconducting quantum computers as detectors

Shion Chen (Kyoto University), Yutaro Iiyama (UTokyo ICEPP)

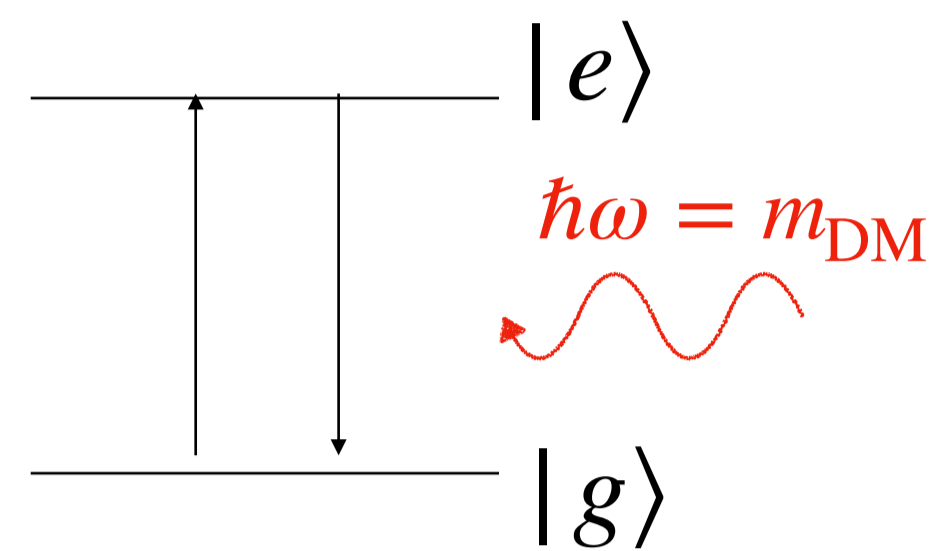
Quantum computer as DM detector

Coherent E-field from DM



Coherent DM
Dark photon
QCD axion, ALP...

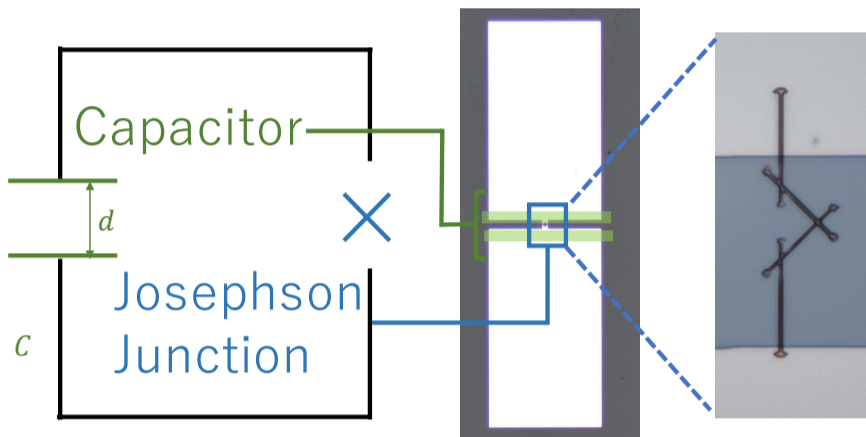
Qubit drive pulse



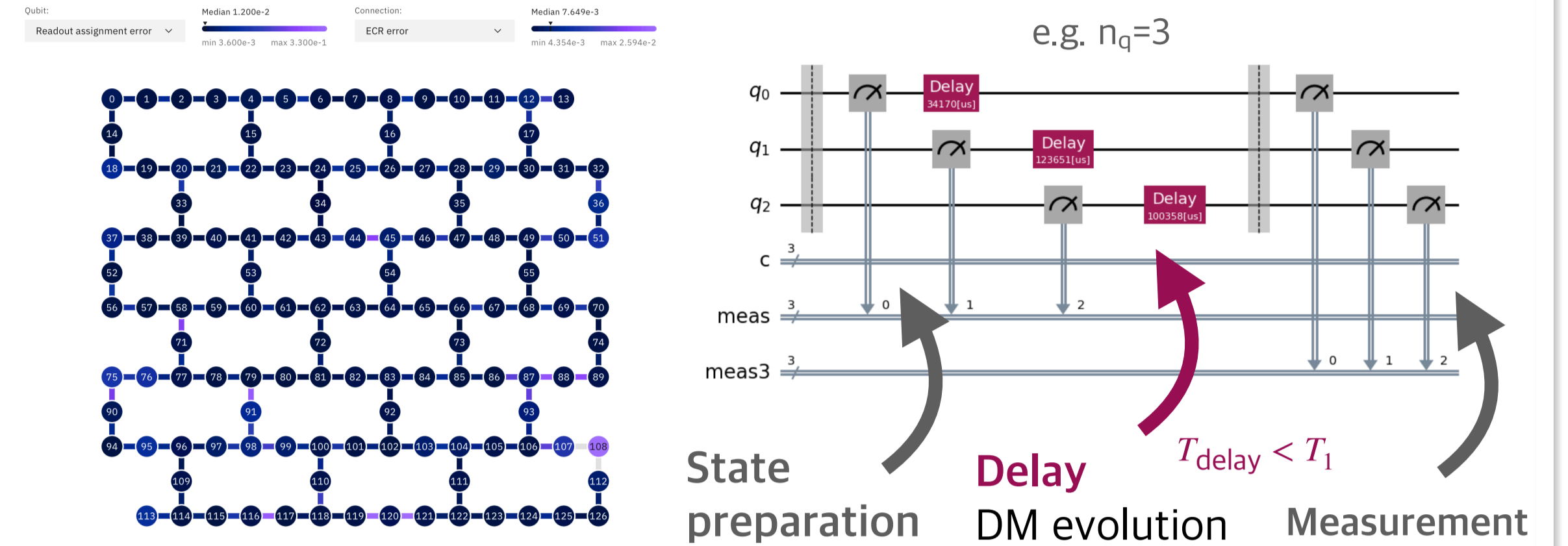
Excitation rate after tau:

Moroi et al. PRL 131 (21), 211001

$$p_{ge}(\tau) \simeq 0.12 \times \kappa^2 \cos^2 \Theta \left(\frac{\epsilon}{10^{-11}} \right)^2 \left(\frac{f}{1 \text{ GHz}} \right) \times \left(\frac{\tau}{100 \mu\text{s}} \right)^2 \left(\frac{C}{0.1 \text{ pF}} \right) \left(\frac{d}{100 \mu\text{m}} \right)^2 \times \left(\frac{\rho_{\text{DM}}}{0.45 \text{ GeV/cm}^3} \right)$$



Experiment in an actual QC



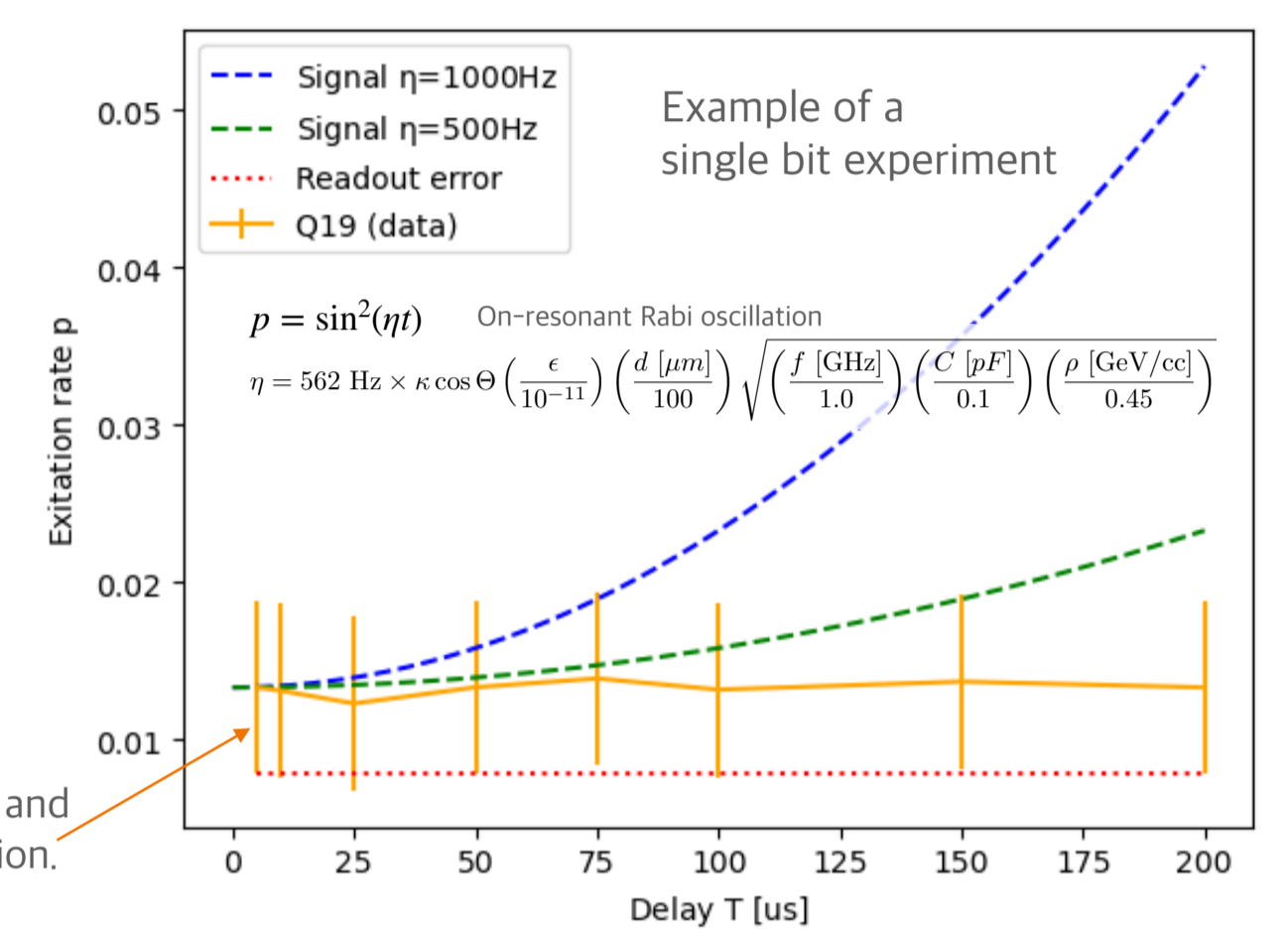
IBM Kawasaki 127 bit

- o T_1 average: 202 μs
- o Ave. readout error: 1.1%
- o 10^5 sampling per bit
- o Completed in ~60s

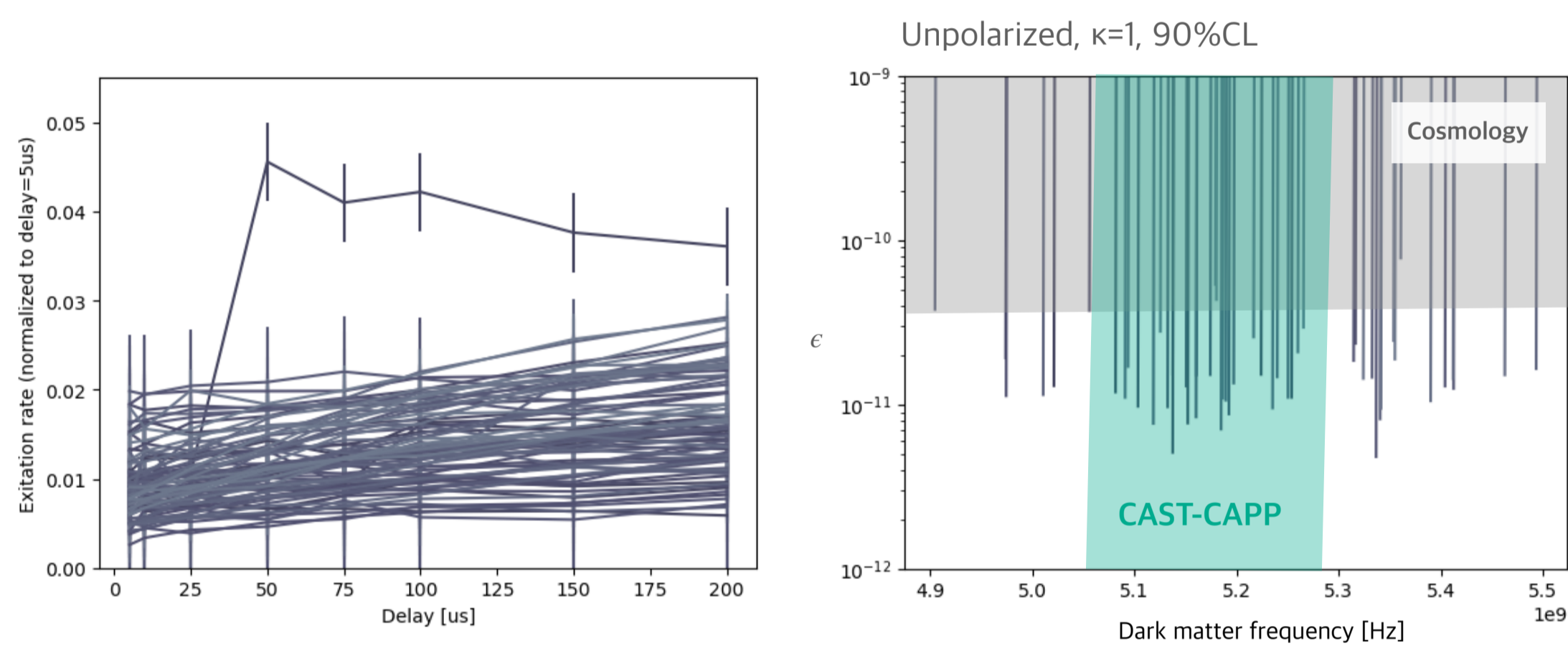
Signal: $|e\rangle$ fraction

- o Proportional to the delay

Error bar in the data includes stat. + syst.
Syst. error: Diff. btw. the excitation rate w/ $T=5\mu\text{s}$ and the readout error reported by calibration.
Likely too conservative!



First Result @Fixed frequency



Selection on qubits used:

- o $T_1 > 100 \mu\text{s}$
- o Readout error $< 2\%$, $p(T=5\mu\text{s}) / \text{Readout error} < 2 \rightarrow 52$ bits selected

No anomalous increase in the excitation rate observed.

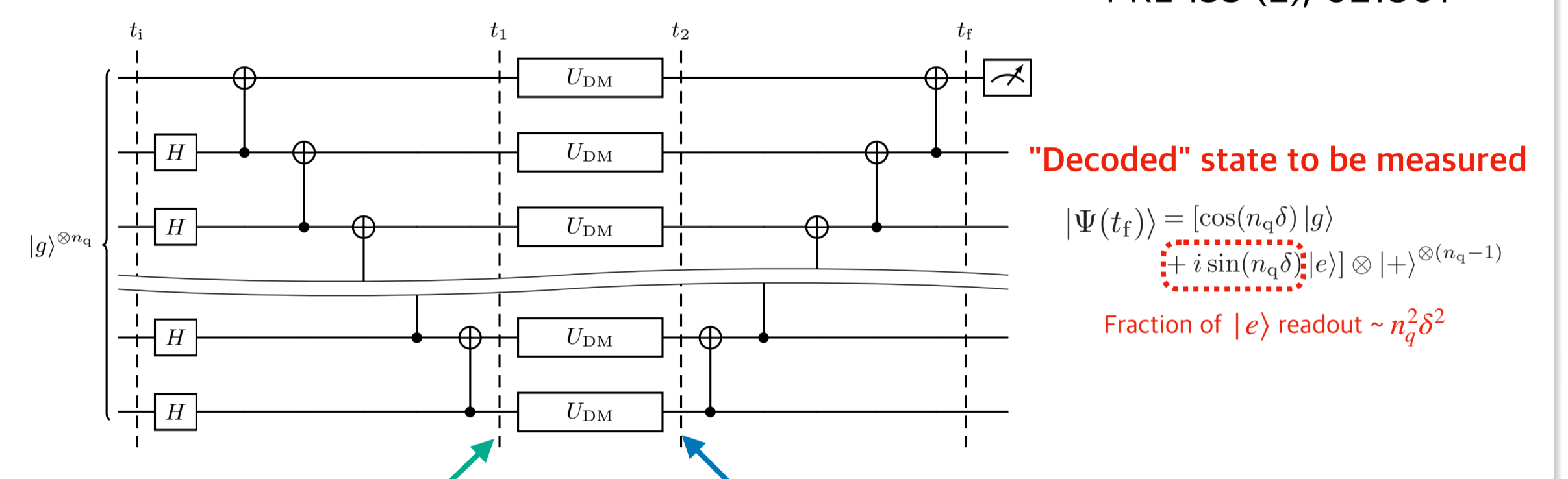
Tentative limit & Outlook

- o **Transmon design/parameter assumed:** Quoted from the pheno paper
- o **Chip package effect not considered yet**
The DM-induced E-field is likely suppressed by the chip package ($\kappa \ll 1$).
- o **Width not considered yet.**
May have O(1MHz) sensitivity width from qubit's off-resonant response
- o **Systematic dominant** Better understanding on noise can still boost a lot

Towards deeper sensitivity: n_q^2 -enhancement

Why just delay? \rightarrow Gate operation

Sichanugrist et al.
PRL 133 (2), 021801



GHZ state: Maximally entangled state

$$|\Psi(t_1)\rangle = \frac{1}{\sqrt{2}} (|+\rangle^{\otimes n_q} + |-\rangle^{\otimes n_q})$$

DM evolution: Rabi oscillation

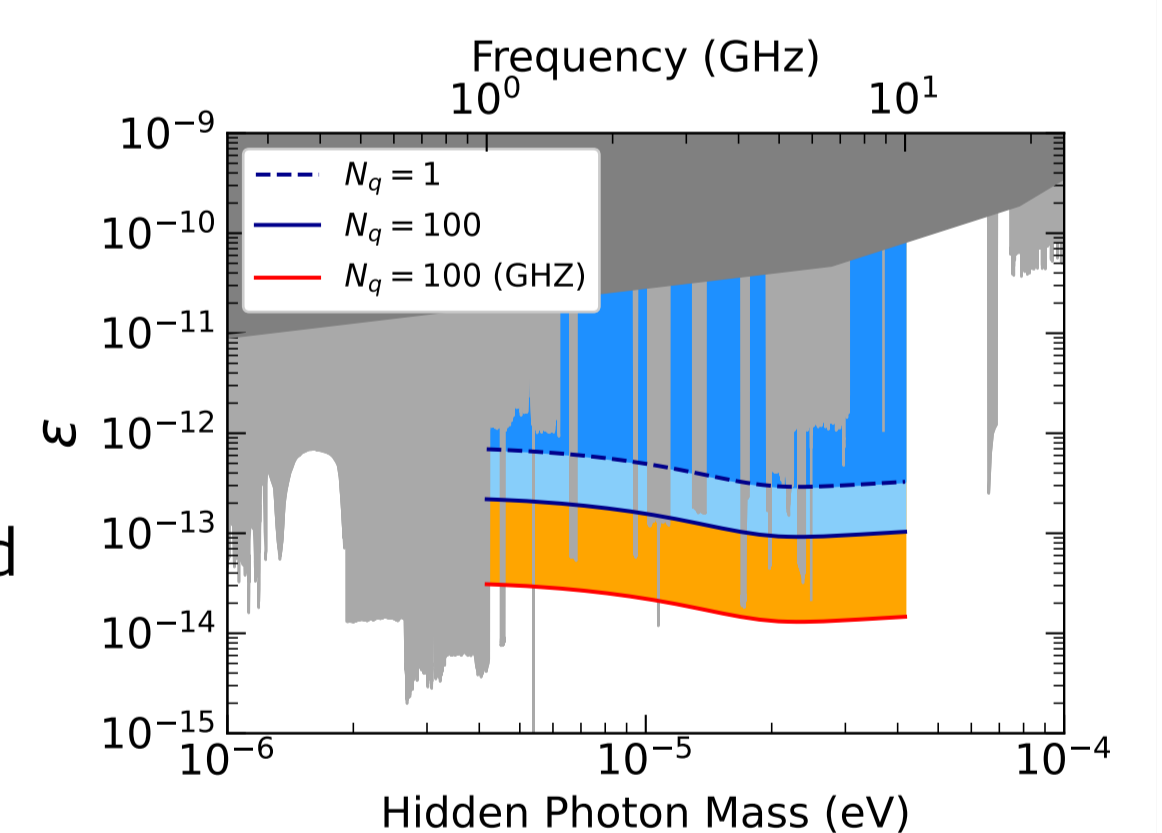
$$|\Psi(t_2)\rangle = \frac{1}{\sqrt{2}} (e^{i n_q \delta} |+\rangle^{\otimes n_q} + e^{-i n_q \delta} |-\rangle^{\otimes n_q})$$

- o Entanglement enables "summation" of the phase acquired in each bit.

- o **Signal rate $\propto n_q^2$ instead of n_q**

- o Technical requirements:

- o Qubit frequencies need to be aligned
- o Per-bit $T_1 > O(\text{ms})$ and QEC \rightarrow Reasonable in FTQC era?



Towards a wide-band search

1. SQUID-based tuning \rightarrow See Karin Watanabe's poster
2. Use of Floquet qubit resonance

"Floquet qubit"

Hamiltonian of a qubit driven at two frequencies (one on resonance):

$$H(t) = -\frac{\omega_q}{2} \sigma_Z + \underbrace{\left[\alpha_{\text{drive}} \cos \omega_q t \right]}_{H_F(t)} \sigma_X + \underbrace{\left[\alpha_{\text{DM}} \cos(\omega_{\text{DM}} t + \phi_{\text{DM}}) \right]}_{H_{\text{DM}}(t)} \sigma_X$$

- o Floquet theory: "For $H(t+T) = H(t)$, there exist solutions $e^{-i\epsilon_n t} |\psi_n(t)\rangle$ where $|\psi_n(t+T)\rangle = |\psi_n(t)\rangle$ "
- o ϵ_n : quasienergies
- o Apply to $H_F(t) \rightarrow$ Periodic solutions = Floquet qubit is approximately $|0_F\rangle = |+\rangle = \frac{1}{\sqrt{2}} (|0\rangle + |1\rangle)$ and $|1_F\rangle = |-\rangle = \frac{1}{\sqrt{2}} (|0\rangle - |1\rangle)$ with quasienergies $\pm \alpha_{\text{drive}}$
- o This Floquet qubit is resonant at $\omega_q \pm \alpha_{\text{drive}}$ ("AC Stark shift" of the qubit)
- o $|0_F\rangle$ and $|1_F\rangle$ have $\times \sim 2.5$ enhanced coherence times ("spin locking")

DM search via qubit dynamics

When $\omega_{\text{DM}} = \omega_q \pm \alpha_{\text{drive}}$, qubit-frame Pauli expectation values evolve as

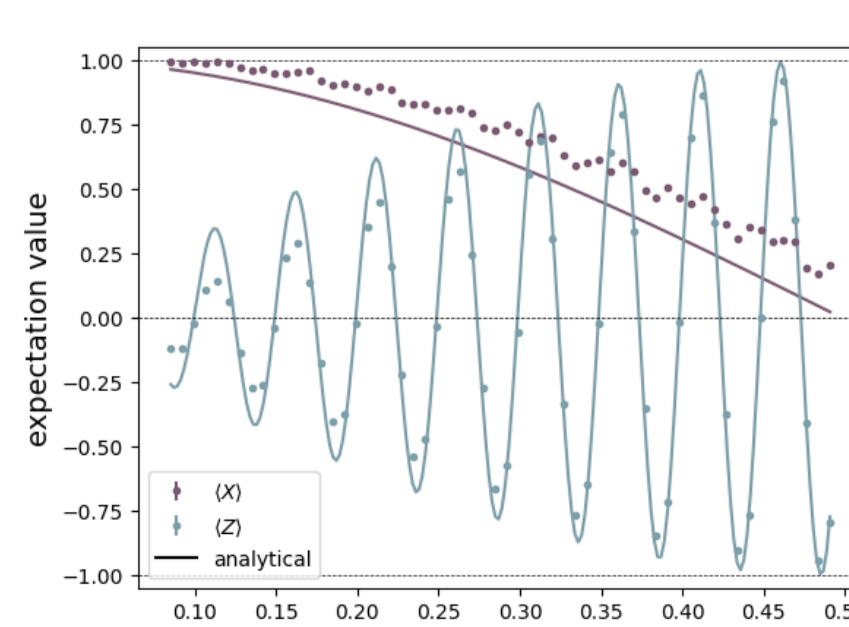
$$\langle X(t) \rangle = \cos\left(\frac{\alpha_{\text{DM}}}{2} t\right)$$

$$\langle Y(t) \rangle = \pm \sin\left(\frac{\alpha_{\text{DM}}}{2} t\right) \cos(\alpha_{\text{drive}} t \pm \phi_{\text{DM}})$$

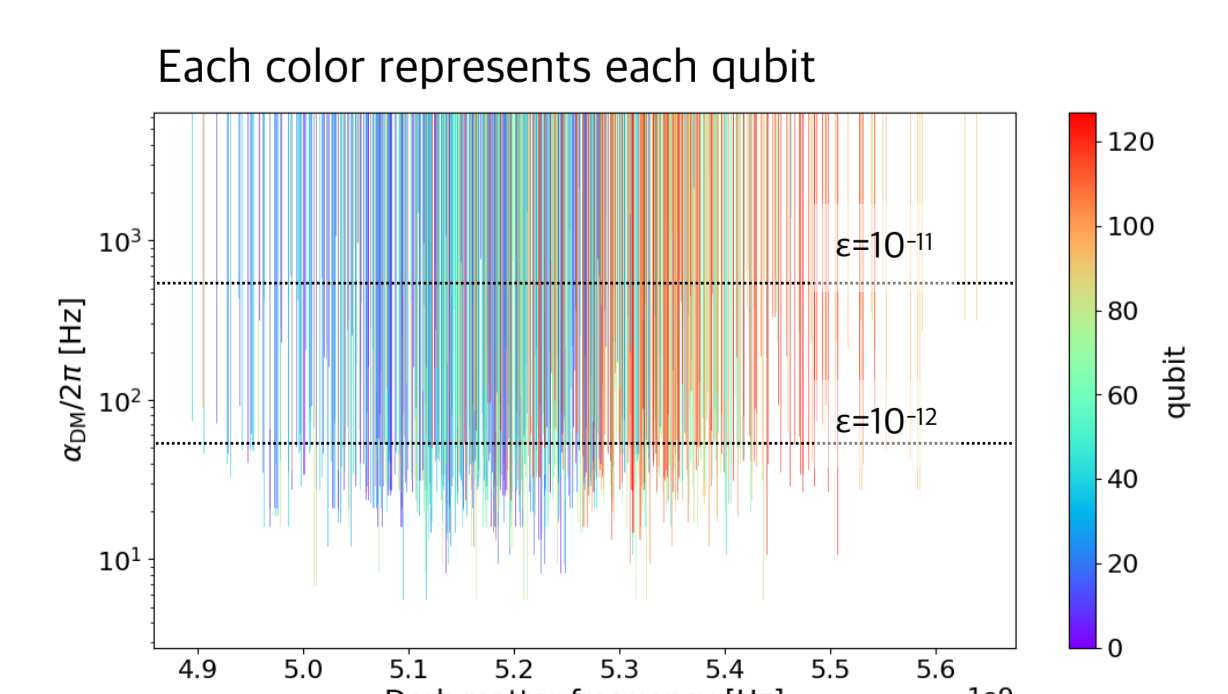
$$\langle Z(t) \rangle = \pm \sin\left(\frac{\alpha_{\text{DM}}}{2} t\right) \sin(\alpha_{\text{drive}} t \pm \phi_{\text{DM}})$$

\rightarrow Probe DM frequency by scanning α_{drive} and observing $\langle X \rangle, \langle Y \rangle, \langle Z \rangle$

Demonstration and Results



$\langle X \rangle$ and $\langle Z \rangle$ with $\alpha_{\text{drive}} \sim 20 \text{ MHz}$ and artificial $\alpha_{\text{DM}} \sim 1 \text{ MHz}$ on an IBM device



Preliminary observed limits (90% CL) on α_{DM}

\ast Upper limit of $< 562 \text{ Hz}$ reads $\epsilon < 10^{-11}$ with assuming a standard transmon design, $\kappa=1$, and no systematics assigned.