

Meson parton distributions at 22 GeV

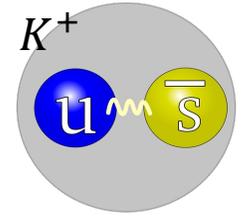
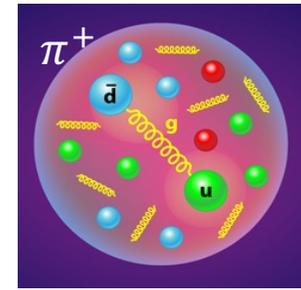
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Science at the Luminosity Frontier: Jefferson Lab at 22 GeV

December 9th, 2024



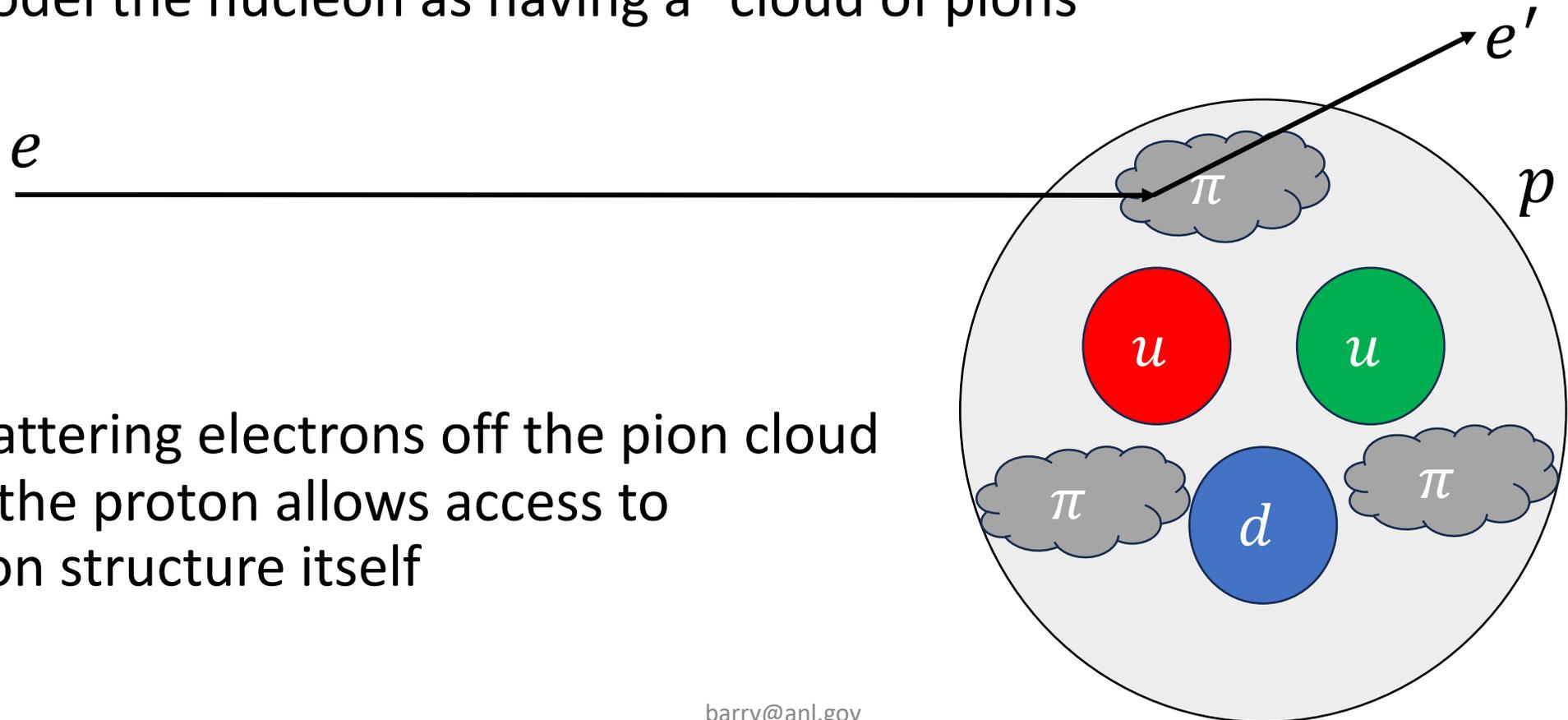
Motivation



- We want to learn about QCD through the structure of hadrons
- Does it make sense to *only* study proton structure? **NO!**
- **Mesons** offer importance of emergent phenomena of QCD such as
 - How is mass generated?
 - How do quarks and gluons arrange themselves within hadrons?
 - Why is there confinement?
- Allows for another probe of confinement scales in quark-gluon bound systems

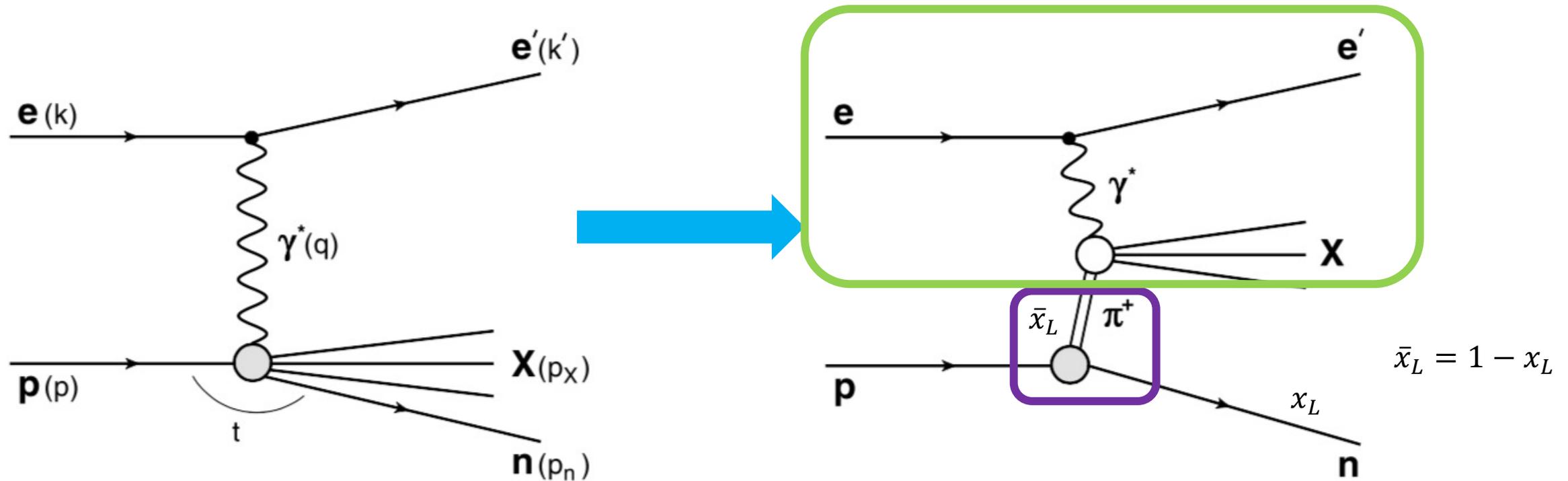
Accessing pions indirectly

- Exchange of pions among nucleons keep the nucleus intact
- Model the nucleon as having a “cloud of pions”



- Scattering electrons off the pion cloud in the proton allows access to pion structure itself

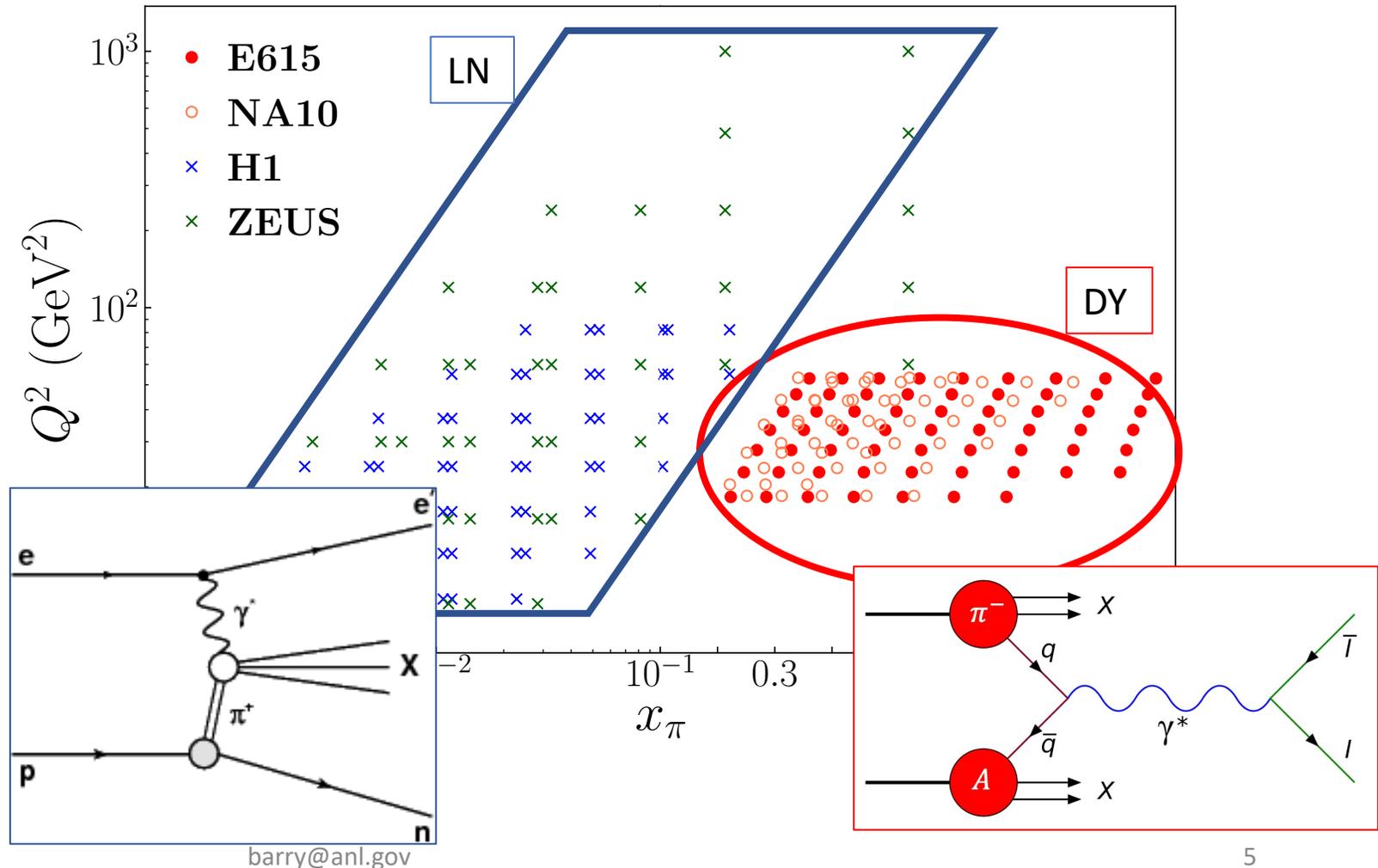
Leading Neutron (LN) electroproduction



$$\frac{d\sigma}{dx dQ^2 d\bar{x}_L} \propto f_{p \rightarrow \pi^+ n}(\bar{x}_L) \sum_i \int_{x/\bar{x}_L}^1 \frac{d\xi}{\xi} C_i(\xi) f_i^\pi \left(\frac{x/\bar{x}_L}{\xi}, \mu^2 \right)$$

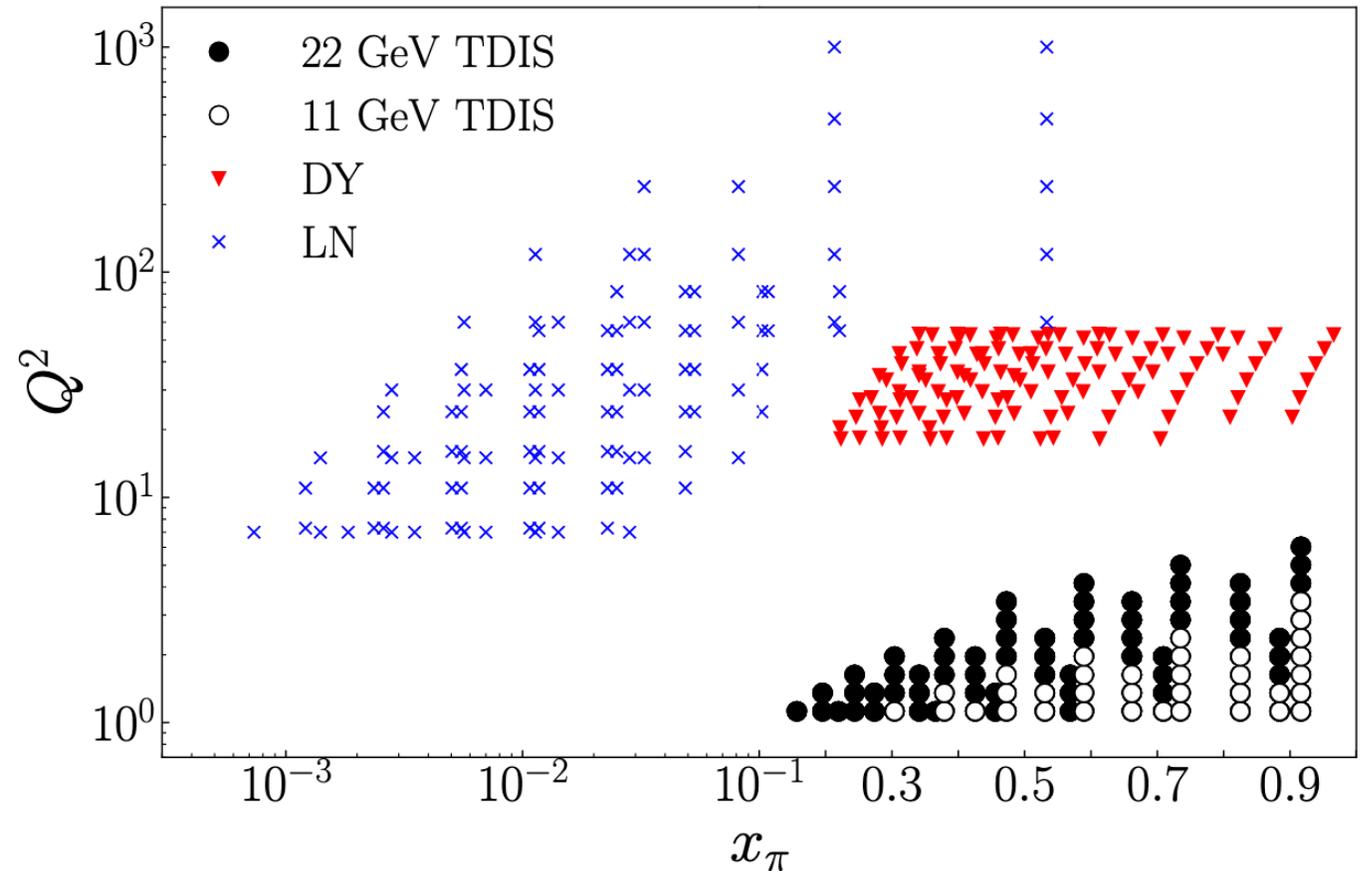
Available datasets for pion structures

- Little kinematic overlapping region
- How can we validate our results with independent measurements in separate kinematic regions?
- Need overlap at large x_π

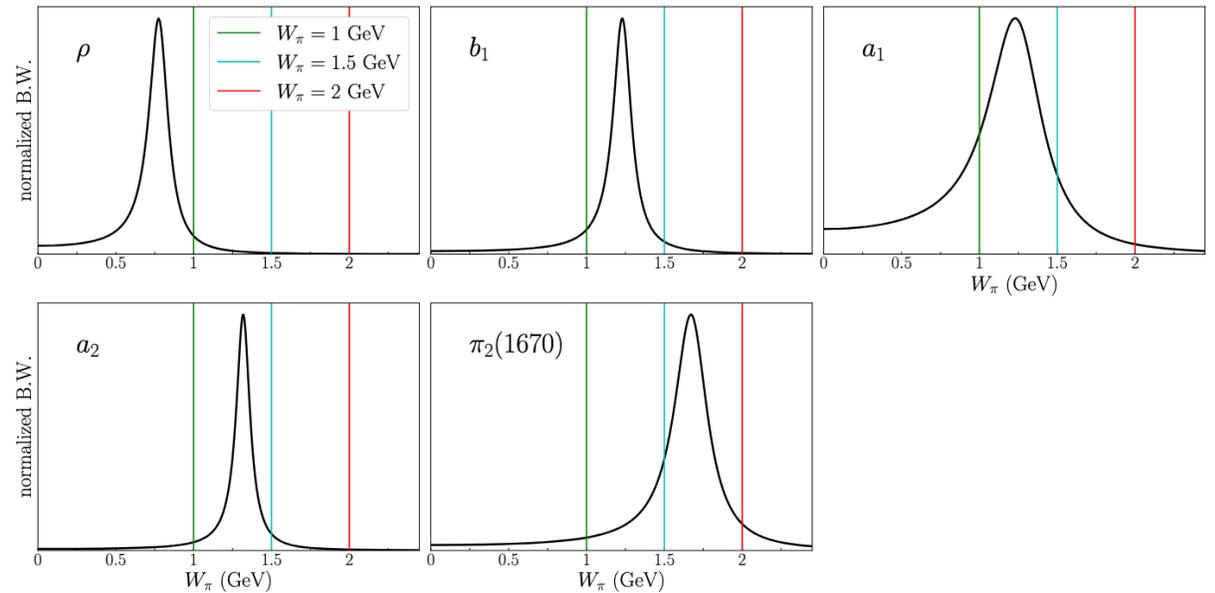
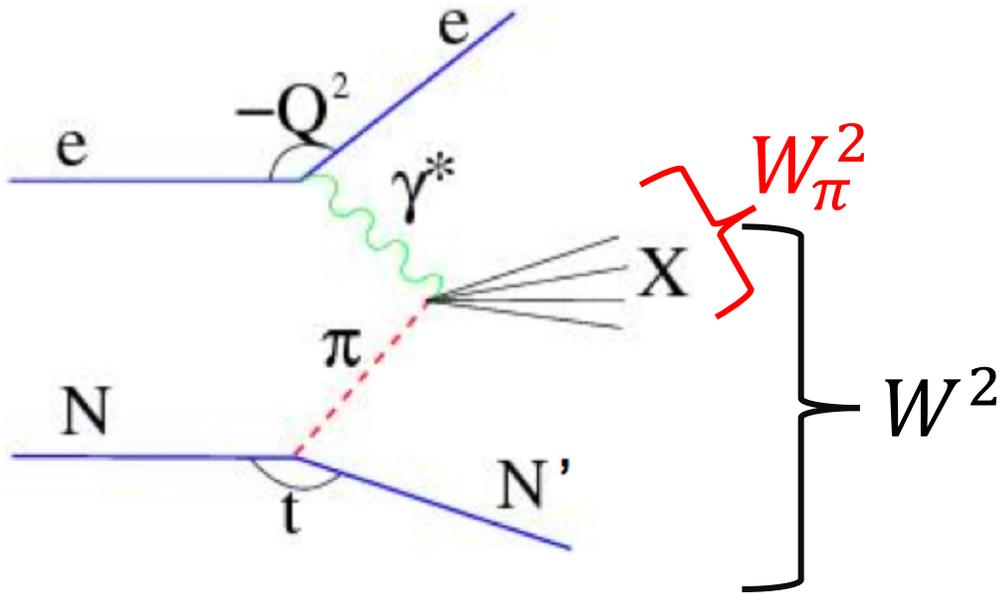


Future kinematics

- With JLab 11 and 22 GeV, we can achieve overlap between DY and TDIS measurements
- However, we must be careful how to interpret these data!



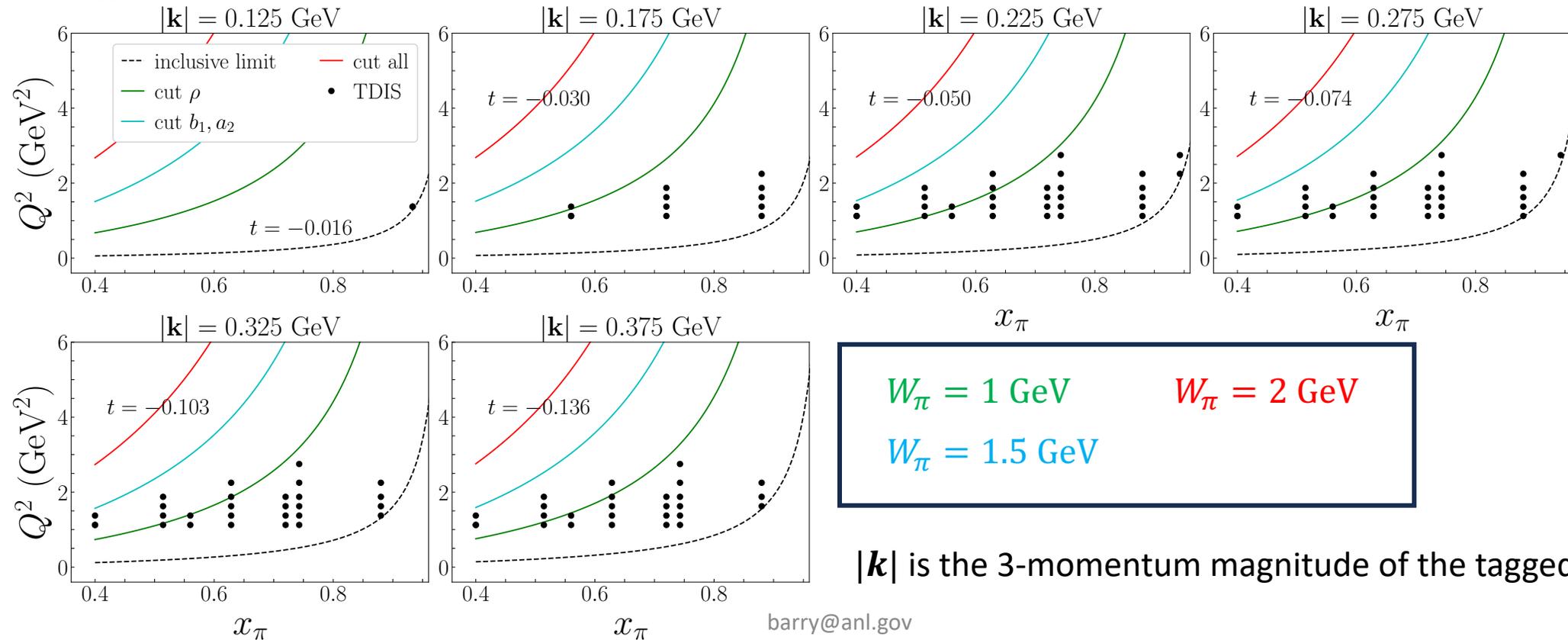
Small W_π^2 : resonance region



- Have to impose proper cuts on the W_π^2 to interpret in terms of parton densities

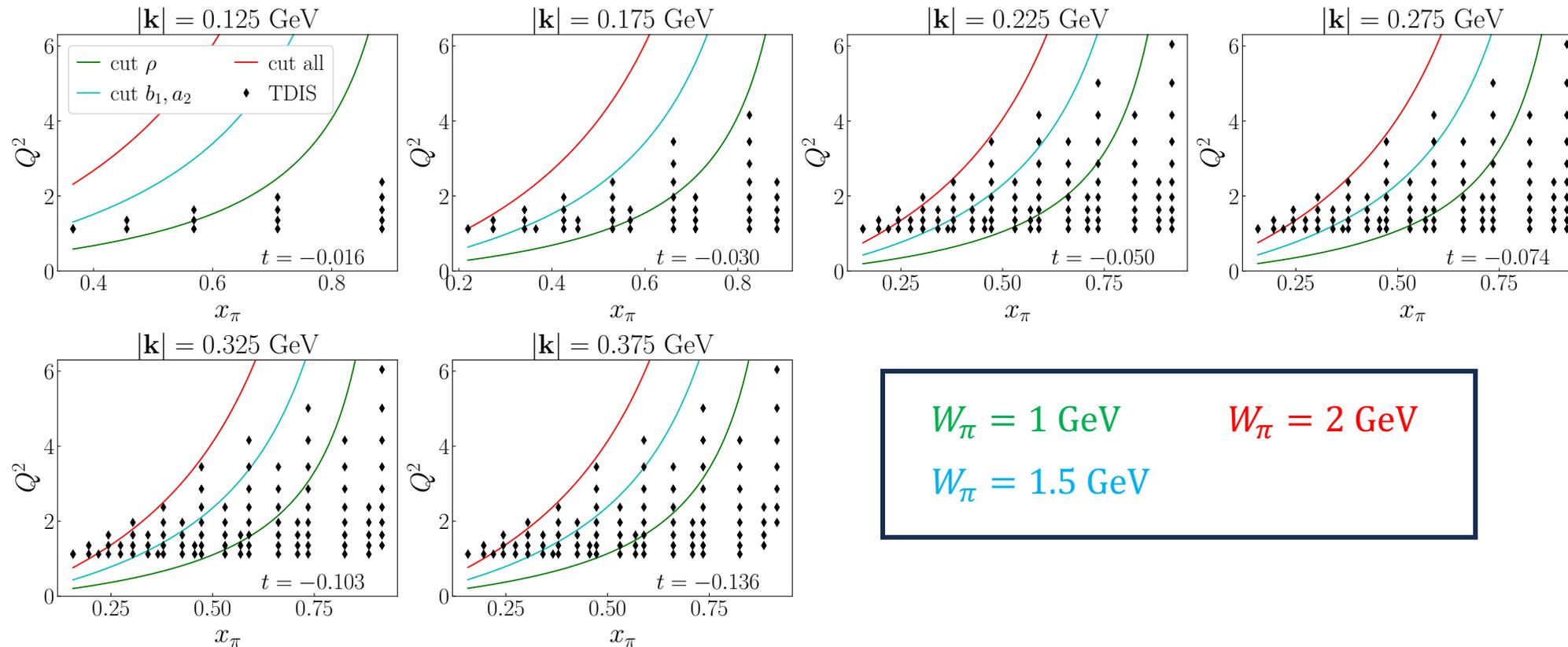
Current 11 GeV TDIS kinematics

- Plotting available 11 GeV TDIS kinematics with a few representative W_π curves



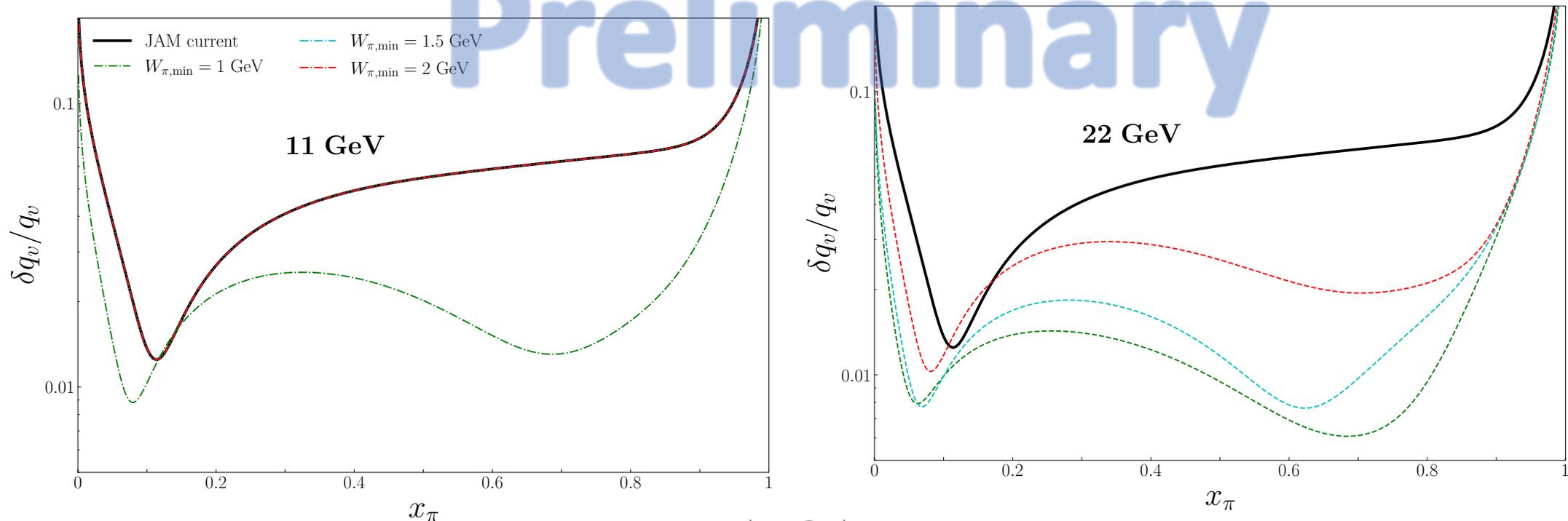
Kinematics with 22 GeV

- We keep some data points above the $W_\pi = 2$ GeV cut



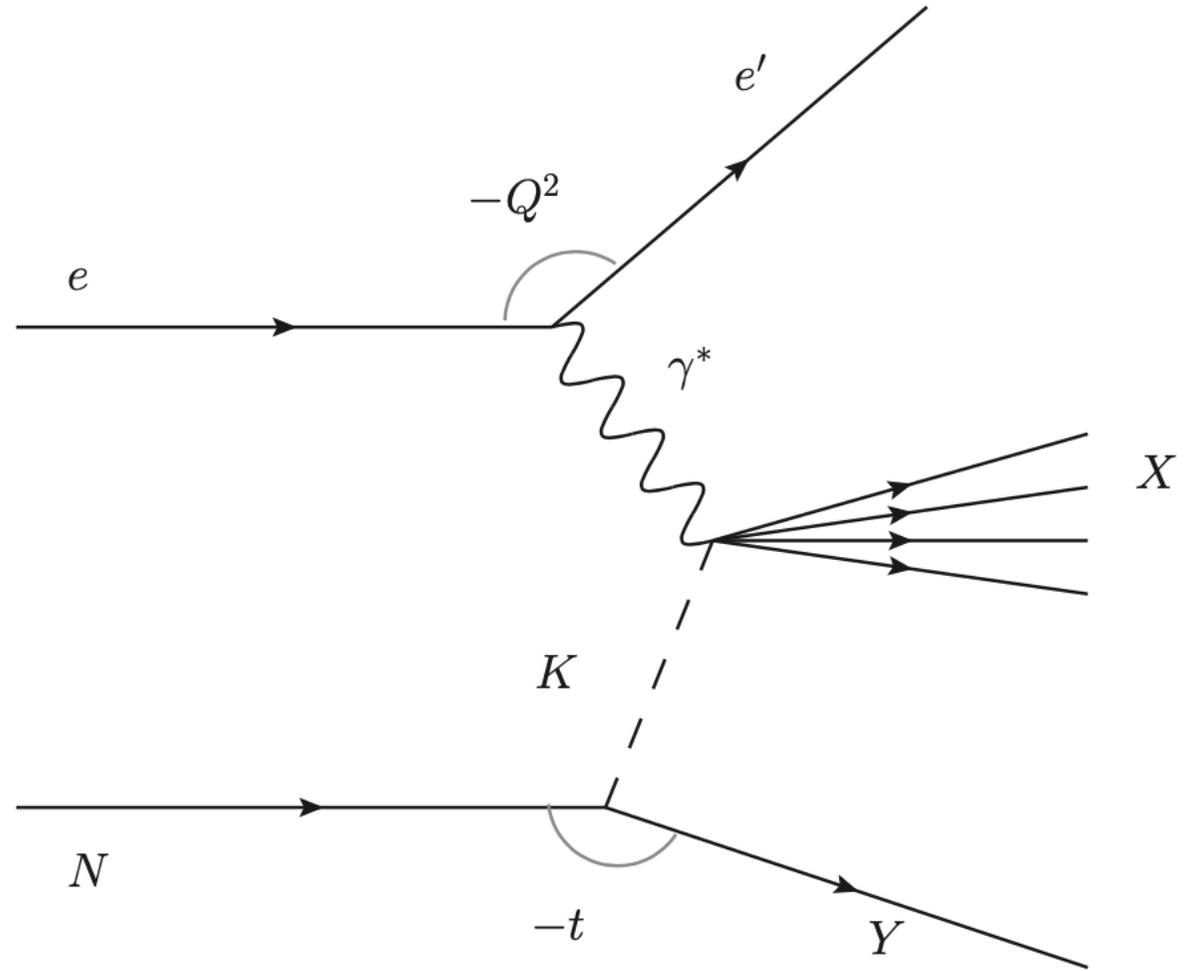
Impact on pion PDFs with 22 GeV

- Knowledge of pion PDFs increases dramatically with 22 GeV beam
- Assuming 1.2% systematic uncertainty and 200 days of data-taking



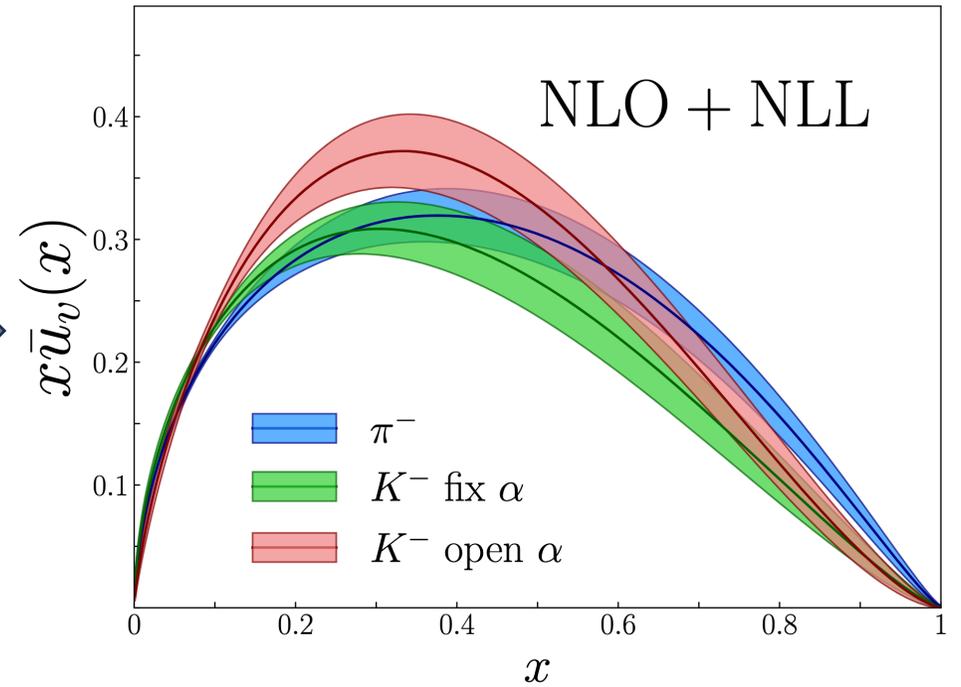
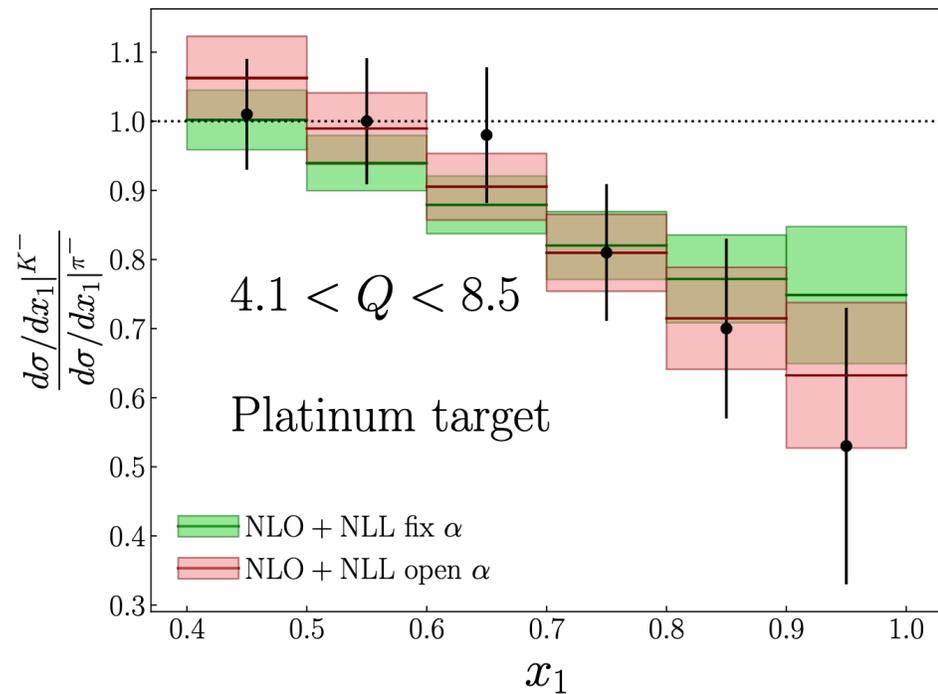
Kaons at JLab

- Sullivan process applies, but a *hyperon* must be tagged
- Consider again, not only inclusive W^2 but W_K^2
- Resonances can appear from K^* mesons



What do we know about kaons?

- Ratio of K^- induced to π^- induced DY from NA3 in 1980

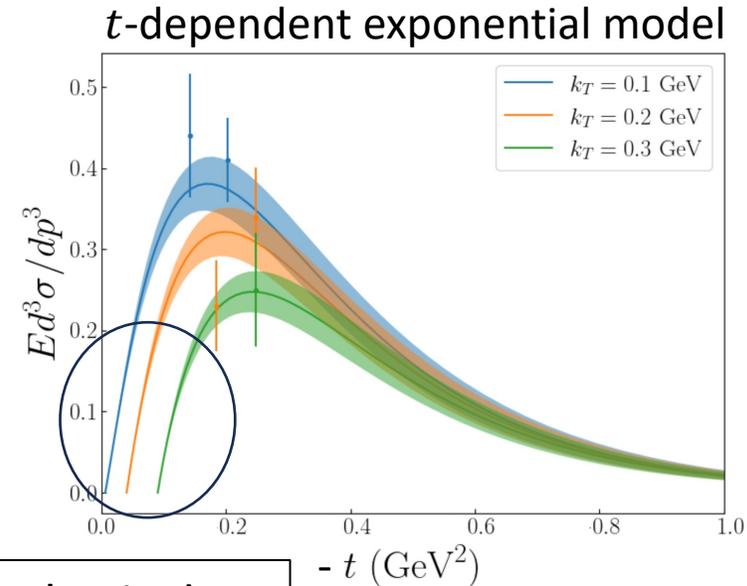
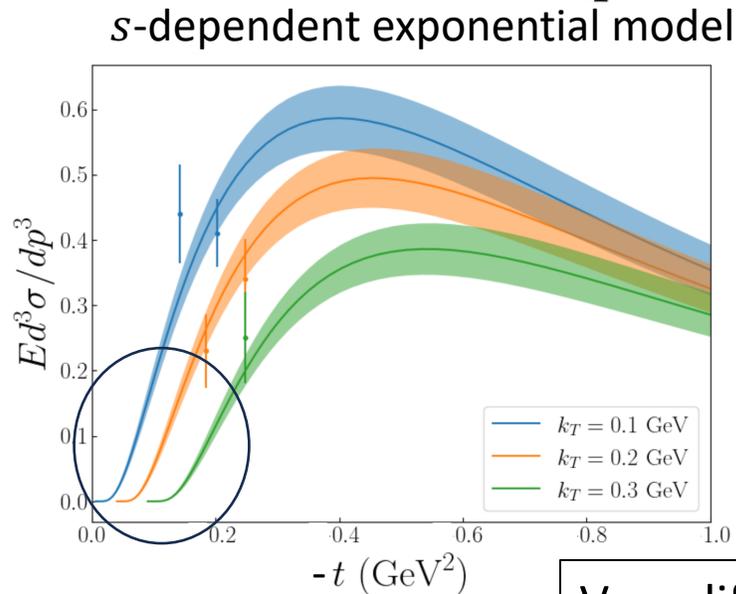


Constraints on the kaon splitting function

- We look at $pp \rightarrow \Lambda X$ data from CERN

$$E \frac{d^3\sigma}{d^3p}(pp \rightarrow \Lambda X) = f_{K\Lambda}(\bar{x}_L, k_T^2) \sigma_{\text{tot}}^{pK^+}(s\bar{x}_L),$$

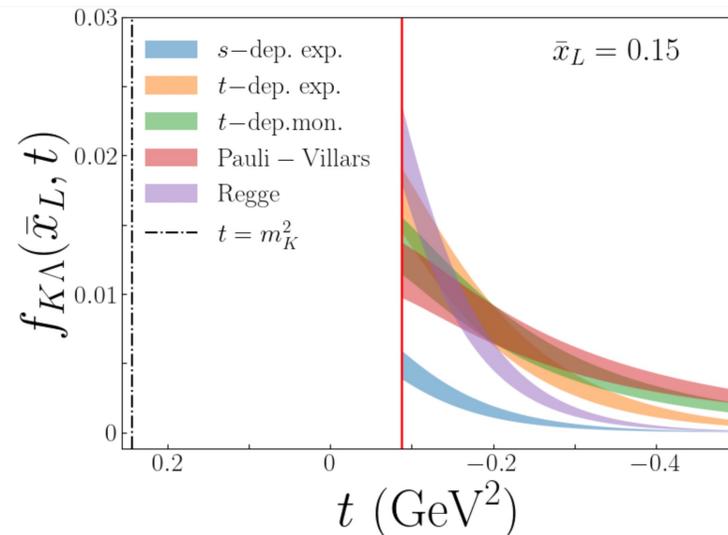
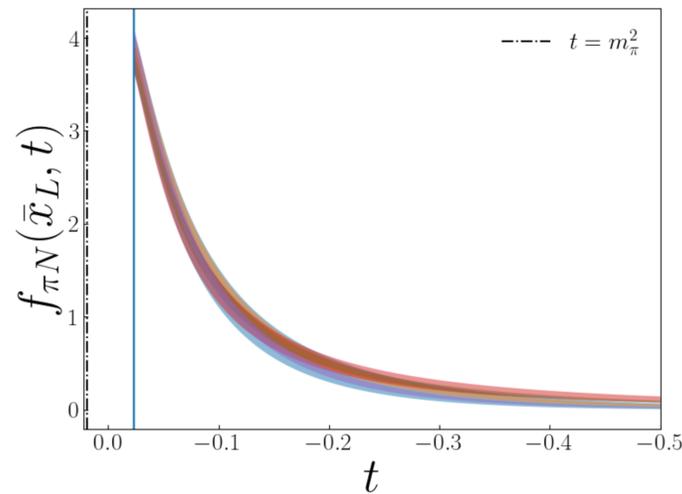
Splitting of $p \rightarrow K\Lambda$; has model dependence



Very different small t behavior!
JLab data can help us resolve this.

Resulting splitting function comparisons

- The TDIS cross section is proportional to the splitting function



- The counts for the kaon TDIS will be ≈ 2 orders of magnitude less than for pions
- Need high luminosity machine!

Final thoughts

- Impacts from the 11 GeV TDIS experiment on pion PDFs will be limited
- Tests of universality in “clean” DIS regions are needed at 22 GeV
- JLab 22 GeV can validate the meson structure where DY measurements are performed

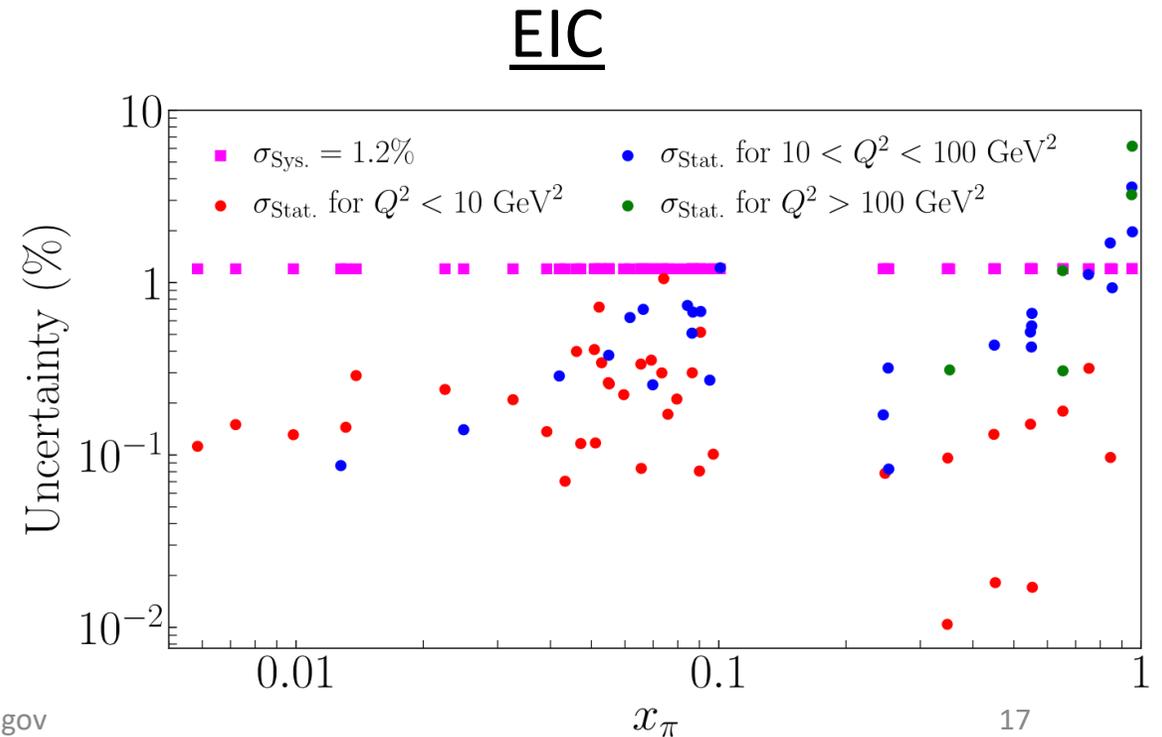
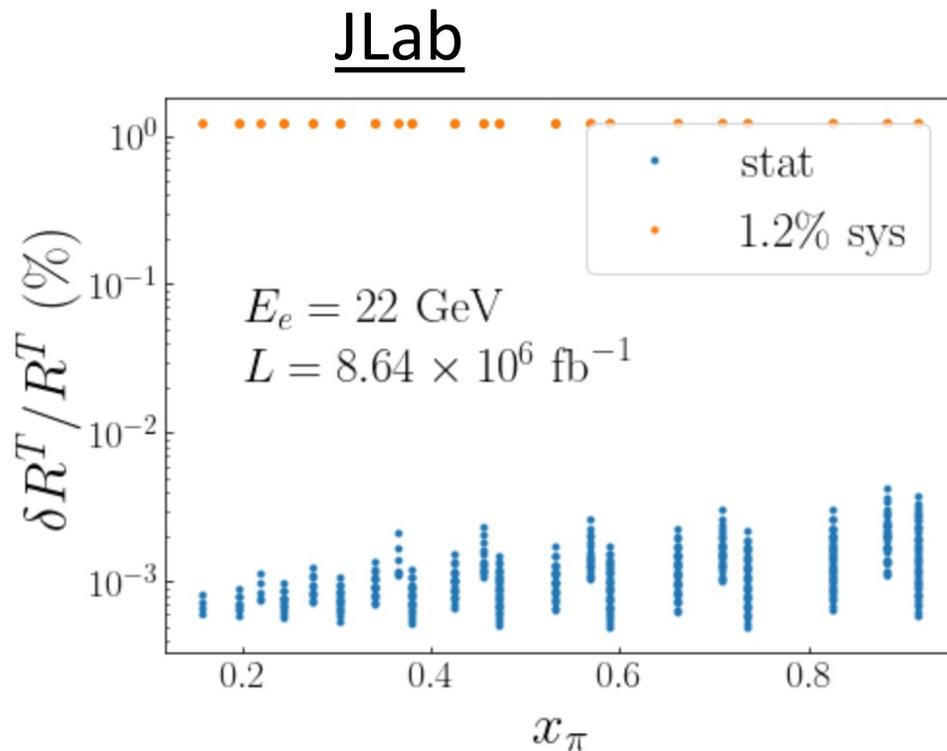
Other topics not discussed here

- The 11 GeV TDIS can map out the low- W_π resonance region and may allow for F_L constraints
- SIDIS at 22 GeV can offer another observable for pion TMDs in the large- x_π region

Backup Slides

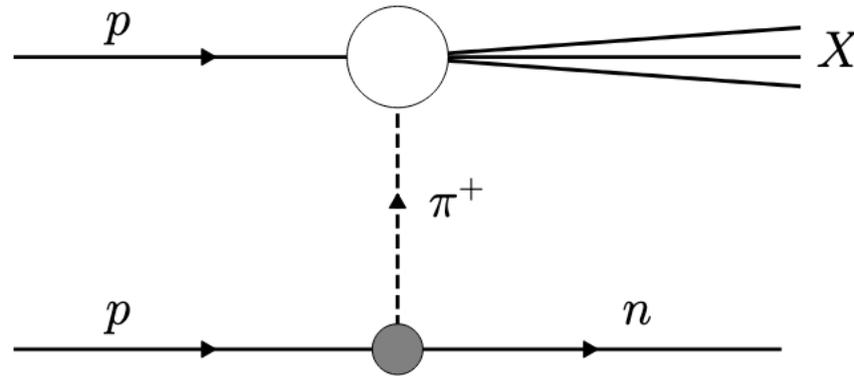
EIC vs JLab 22 GeV

- JLab measurements will be much more precise with a 200 day beam run – luminosity plays a big role



Testing systematics of the Sullivan process

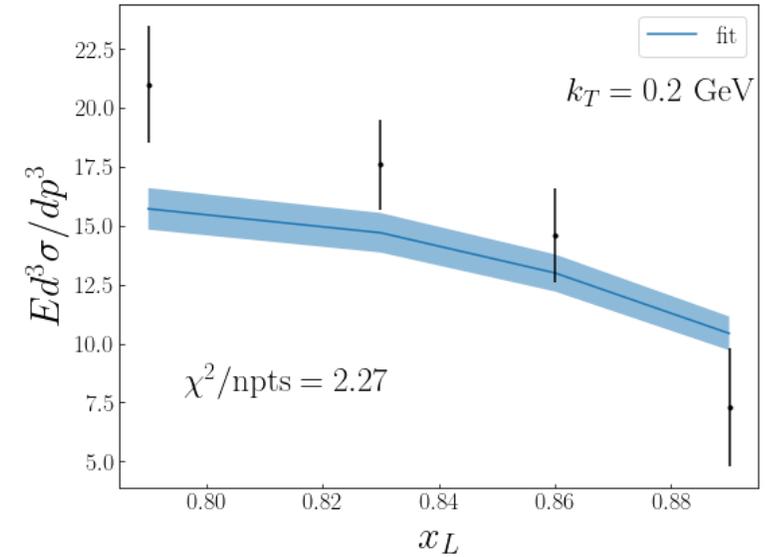
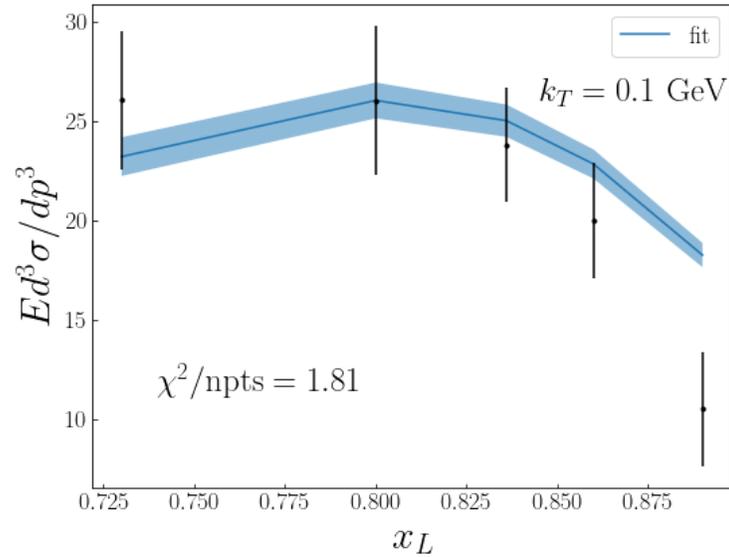
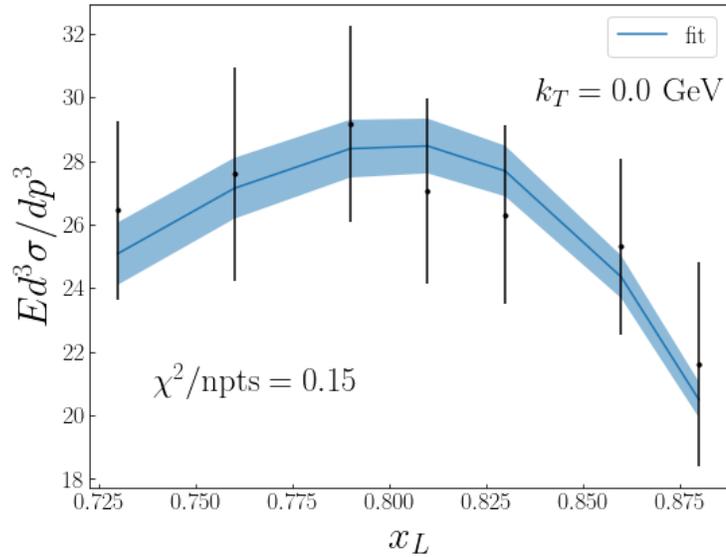
- We look to $pp \rightarrow nX$ data as well



- Here, sensitive as well to the $f_{\pi N}$ splitting function
 - Additional observable to test the universality

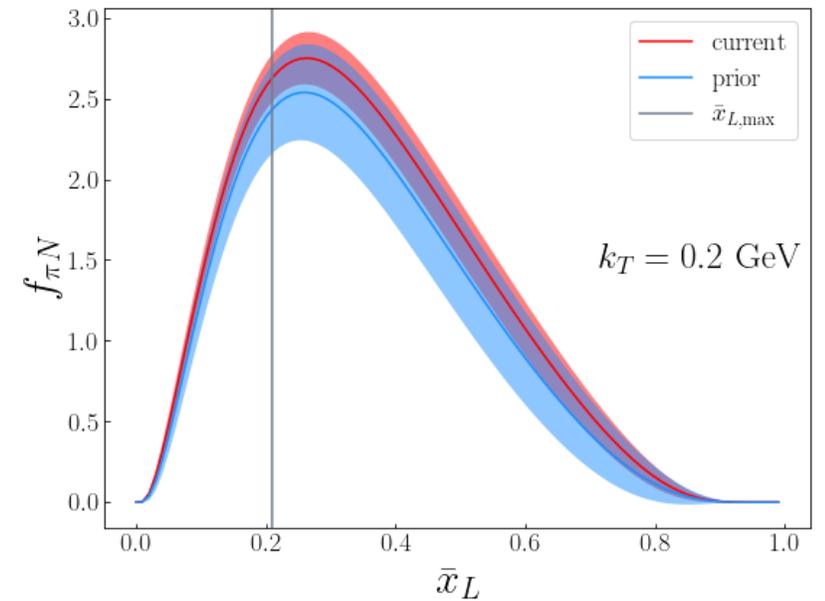
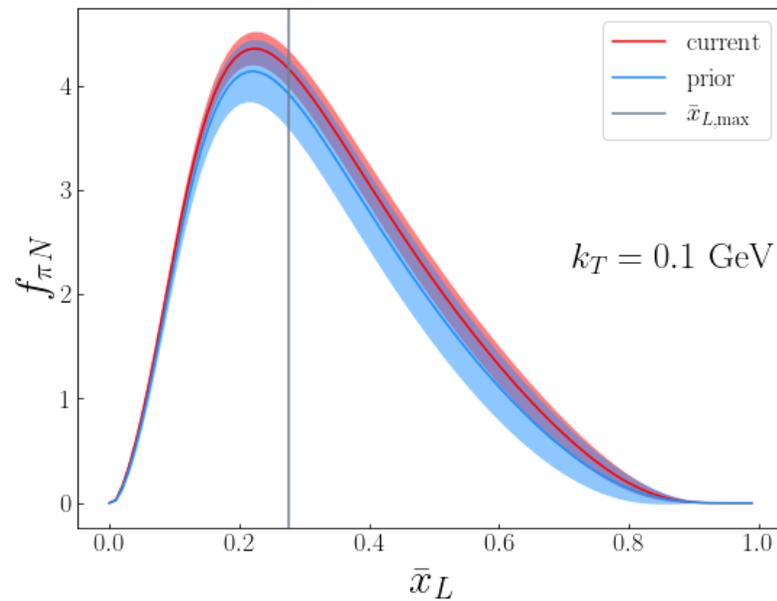
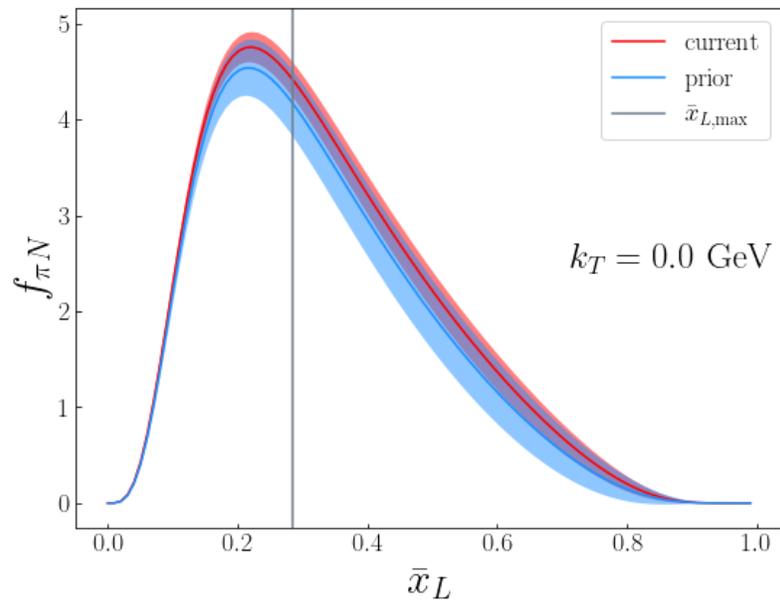
Data and theory comparisons

- Perform cut on $|t| < 0.1 \text{ GeV}^2$



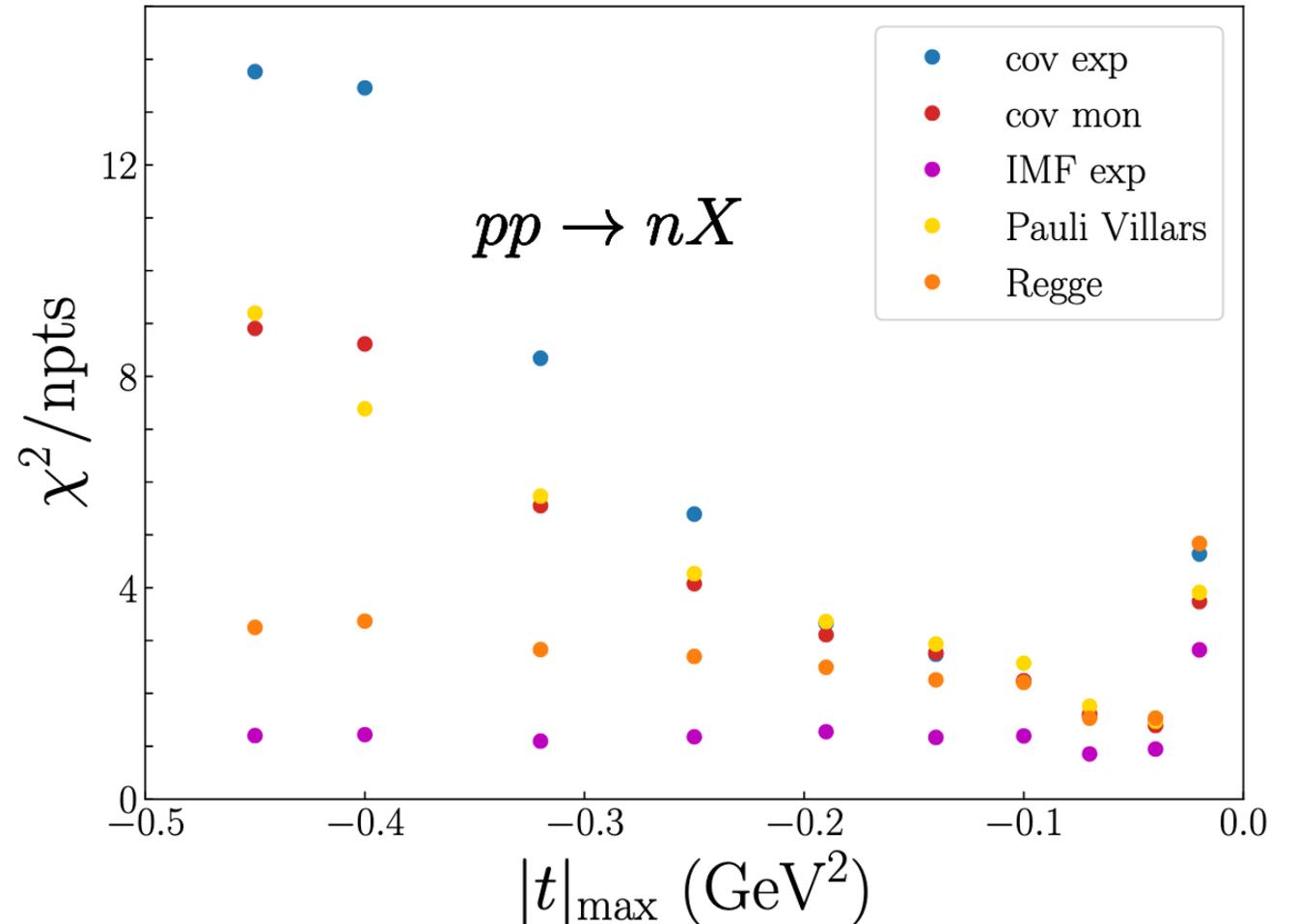
Resulting splitting function

- Agrees with the prior within the uncertainty bands



Resulting χ^2 for the $pp \rightarrow nX$ data

- All models as a function of the cut on $|t|$
- $|t|_{\max} = 0.1 \text{ GeV}^2$ is ideal as it gives good description of data for all models



Definition of W_π^2

- Derived from kinematics

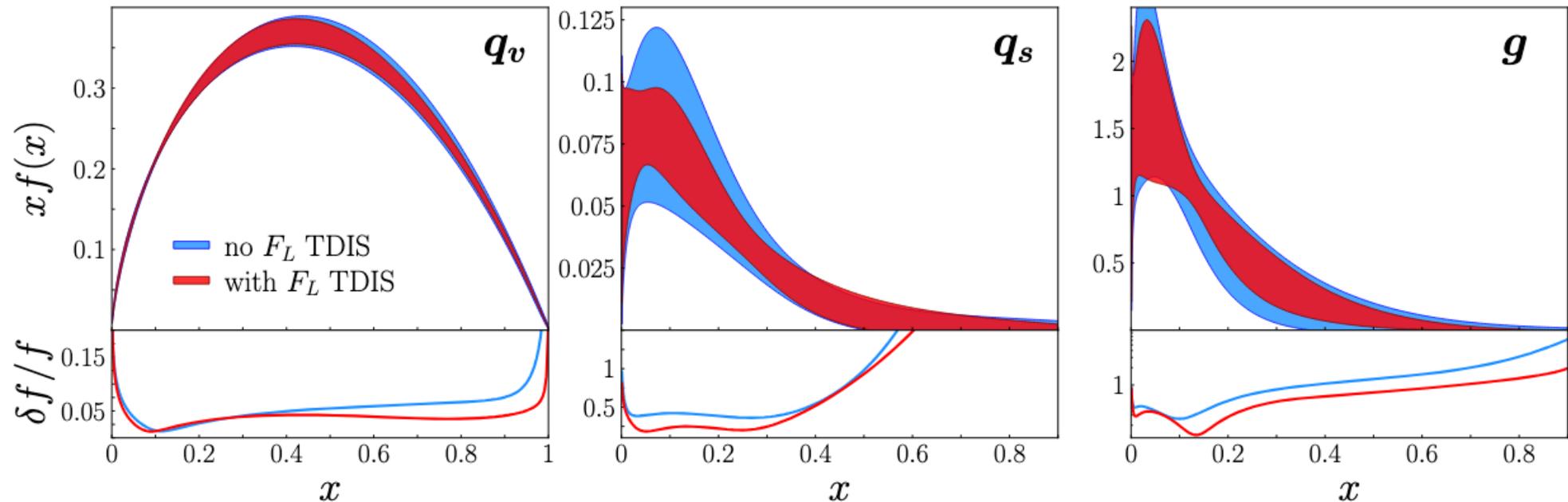
$$W_\pi^2 = t - Q^2 \left(1 - \frac{\bar{x}_L}{x} \right) = t - Q^2 \left(1 - \frac{1}{x_\pi} \right).$$

Gluonic content of the pion

- The gluon has sensitivity to F_2^π at next-to-leading order (NLO)
- However, it comes in at leading order (LO) for F_L^π
- If we can perform L-T separation in regions of kinematics, we may be able to access g_π
- Because the ρ meson does *not* contribute to F_L , we analyze the region in $2m_\pi < W_\pi < 1 \text{ GeV}$

Impact of F_L studies

- We look only at 11 GeV kinematics that overlap with 8.8 GeV beam kinematics
- Reduction in the gluon uncertainty at large x



Impact study details

- We created pseudodata in the form of

$$R^T = \frac{d^4\sigma(eN \rightarrow e'N'(\Lambda)X)}{dx dQ^2 dx_L dt} / \frac{d^2\sigma(eN \rightarrow e'X)}{dx dQ^2} \Delta x_L \Delta t$$

- We used a luminosity of: $d\mathcal{L}/dt = 5 \times 10^{38} \text{ cm}^2/\text{s}$

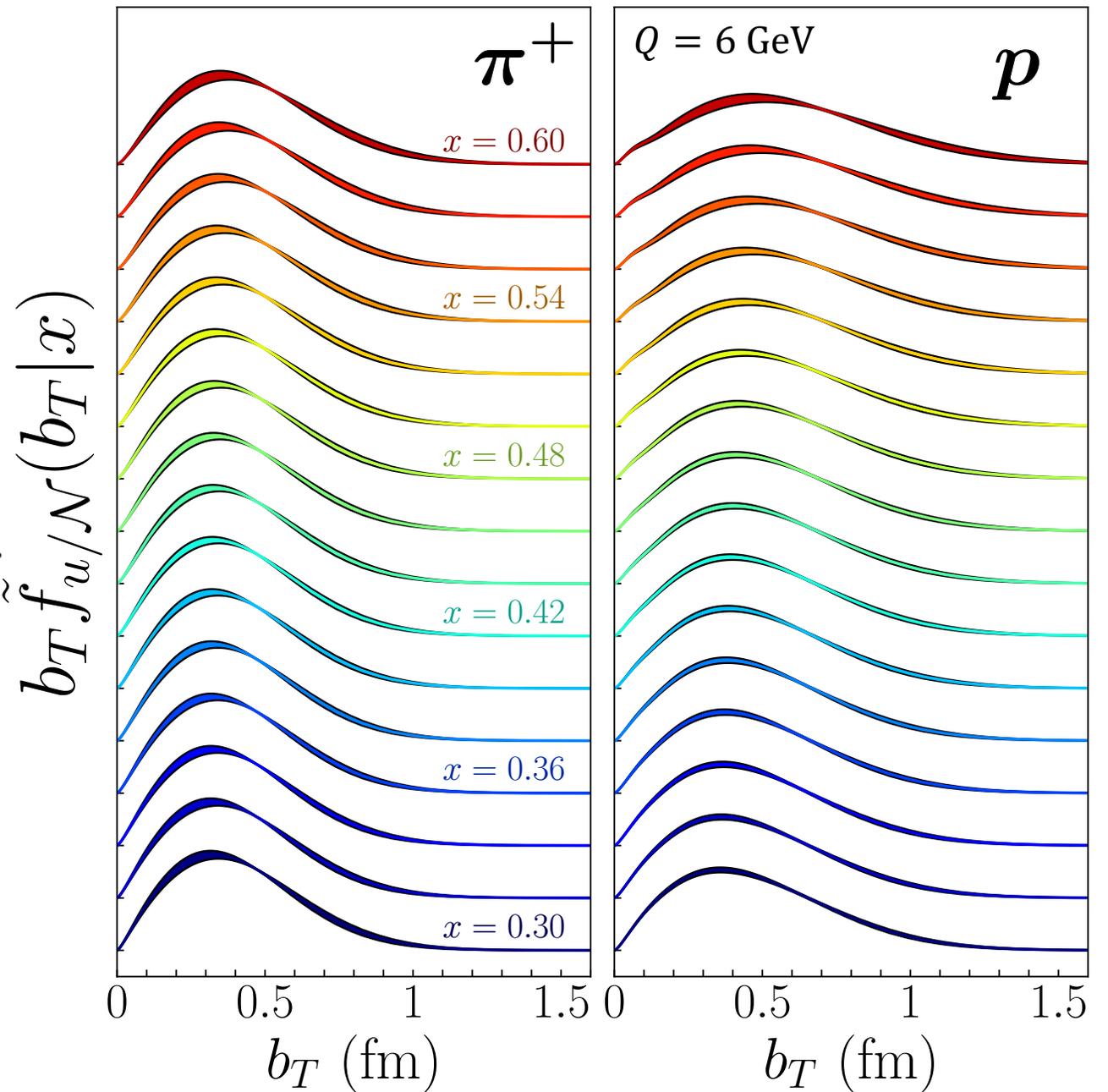
Transverse momentum structure

Relation to k_T -space TMD

$$\tilde{f}_{q/\mathcal{N}}(x, b_T) = (2\pi)^2 \int d^2\mathbf{k}_T e^{-i\mathbf{b}_T \cdot \mathbf{k}_T} f_{q/\mathcal{N}}(x, k_T)$$

$$\tilde{f}_{q/\mathcal{N}}(b_T|x; Q, Q^2) \equiv \frac{\tilde{f}_{q/\mathcal{N}}(x, b_T; Q, Q^2)}{\int d^2\mathbf{b}_T \tilde{f}_{q/\mathcal{N}}(x, b_T; Q, Q^2)}$$

- Broadening in b_T -space appearing as x increases
 \Rightarrow Narrowing in k_T -space
- Up quark in pion is narrower than up quark in proton in b_T -space
 \Rightarrow Broader in k_T -space

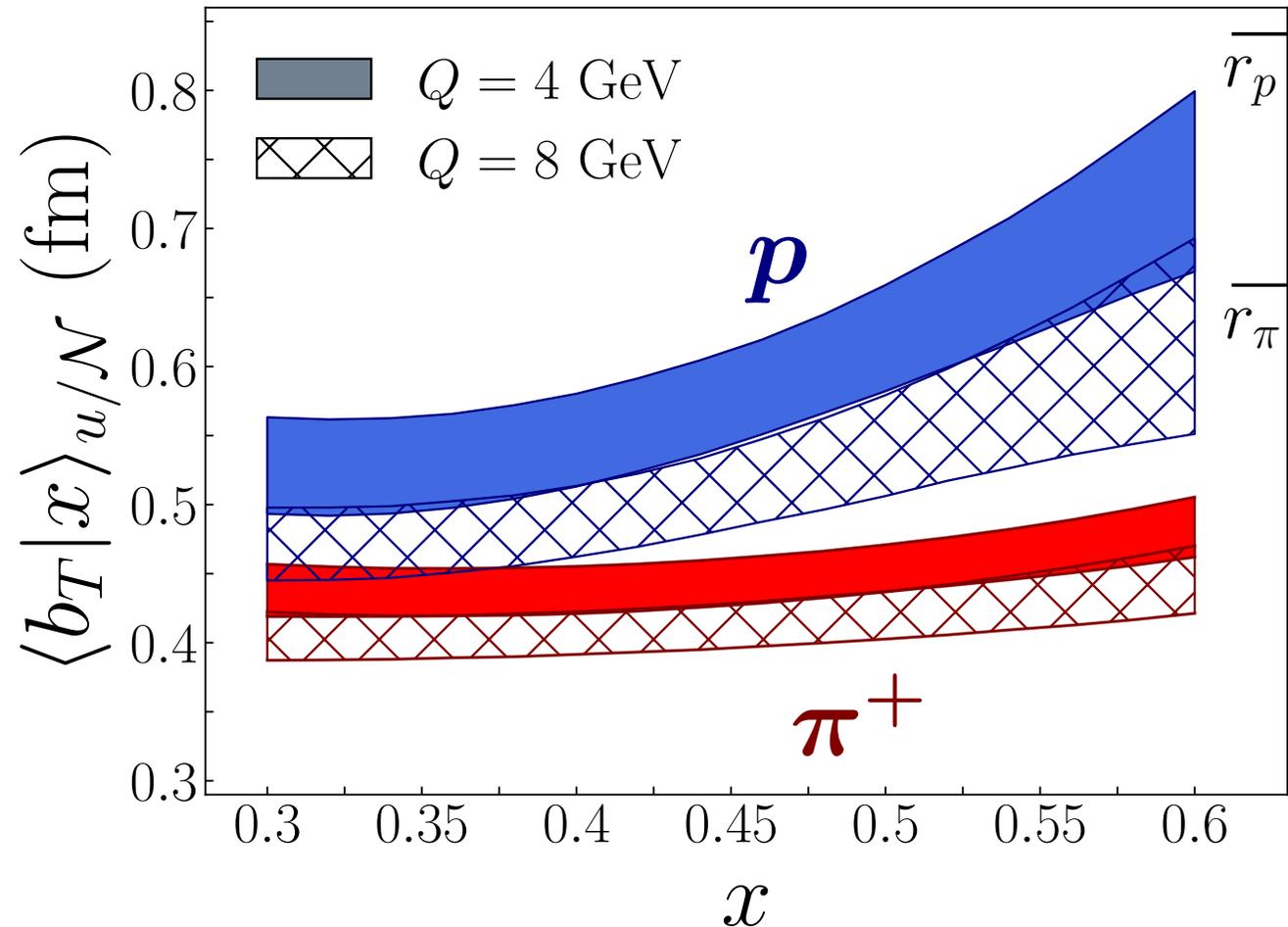


Average b_T

- The conditional expectation value of b_T for a given x

$$\langle b_T | x \rangle_{q/\mathcal{N}} = \int d^2 \mathbf{b}_T b_T \tilde{f}_{q/\mathcal{N}}(b_T | x; Q, Q^2)$$

- Shows a measure of the transverse correlation in coordinate space of the quark in a hadron for a given x



Use of W^2 for SIDIS

The unobserved invariant mass-squared in inclusive DIS is

$$W_{\text{tot}}^2 = M^2 + \frac{Q^2(1 - x_{\text{Bj}})}{x_{\text{Bj}}}. \quad (6.26)$$

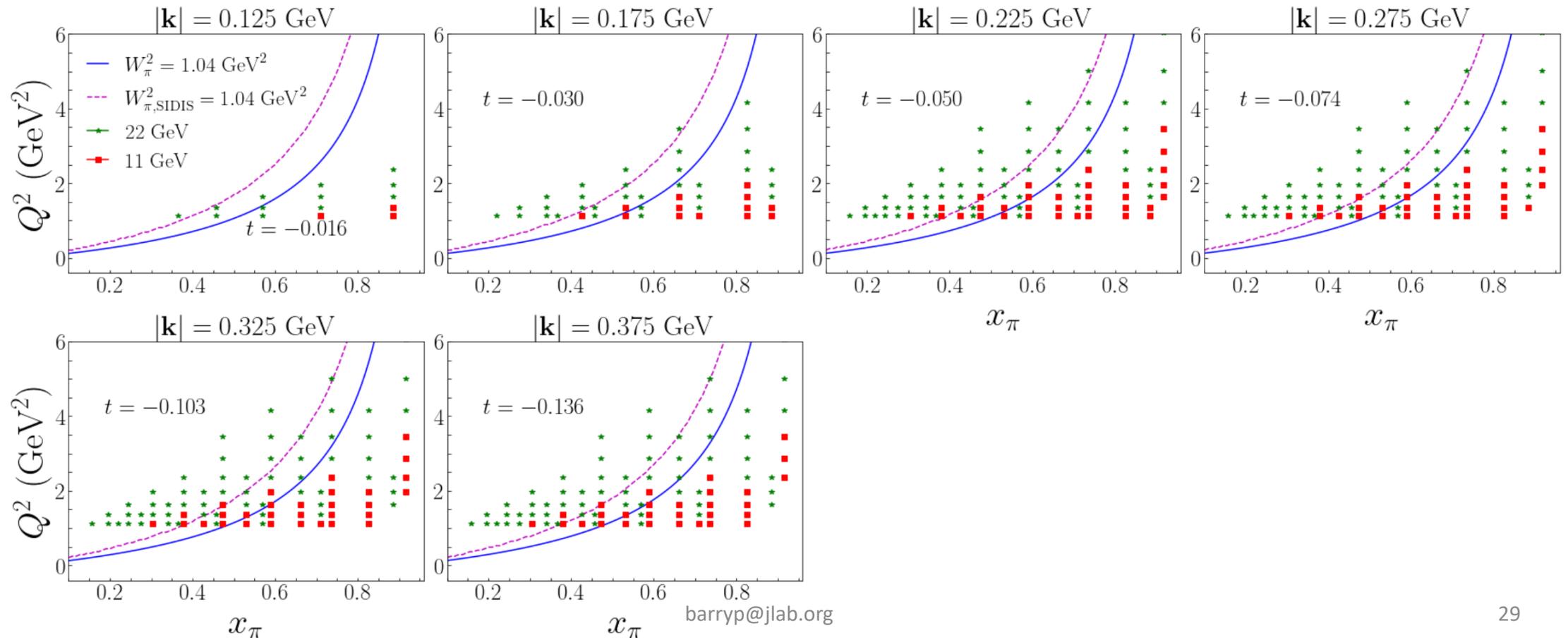
In SIDIS it is

$$W_{\text{SIDIS}}^2 = M^2 + M_{\text{B}}^2 + \frac{Q^2(1 - x_{\text{Bj}} - z_{\text{h}})}{x_{\text{Bj}}} + \frac{Q^4 z_{\text{h}} \left(\sqrt{1 + \frac{4M^2 x_{\text{Bj}}^2}{Q^2}} \sqrt{1 - \frac{4M^2 x_{\text{Bj}}^2 M_{\text{B},\text{T}}^2}{z_{\text{h}}^2 Q^4}} - 1 \right)}{2M^2 x_{\text{Bj}}^2}$$
$$\stackrel{M, M_{\text{B}} \rightarrow 0}{\approx} \frac{Q^2(1 - x_{\text{Bj}})(1 - z_{\text{h}})}{x_{\text{Bj}}} - \frac{\mathbf{P}_{\text{B},\text{T}}^2}{z_{\text{h}}}. \quad (6.27)$$

- Replace M^2 with t

Available kinematics for JLab

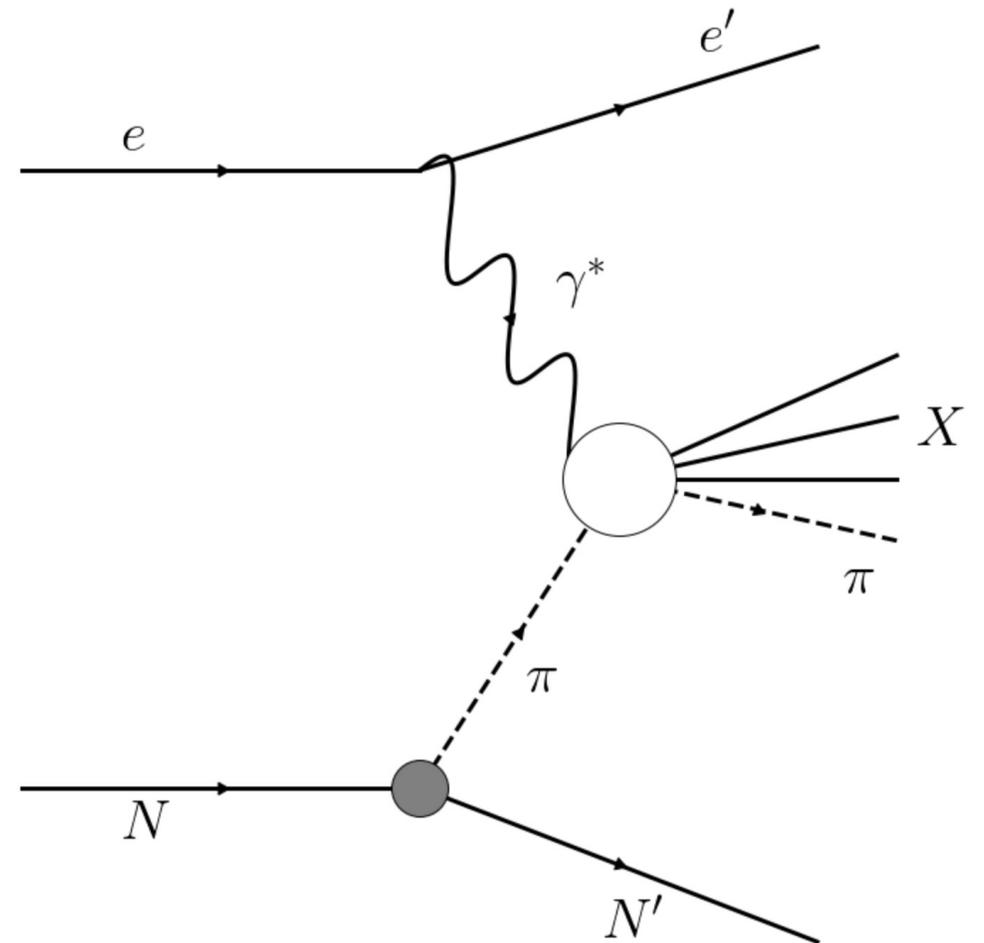
- Can only use **22 GeV data** for any TMD analysis



Pion SIDIS: access to TMDs

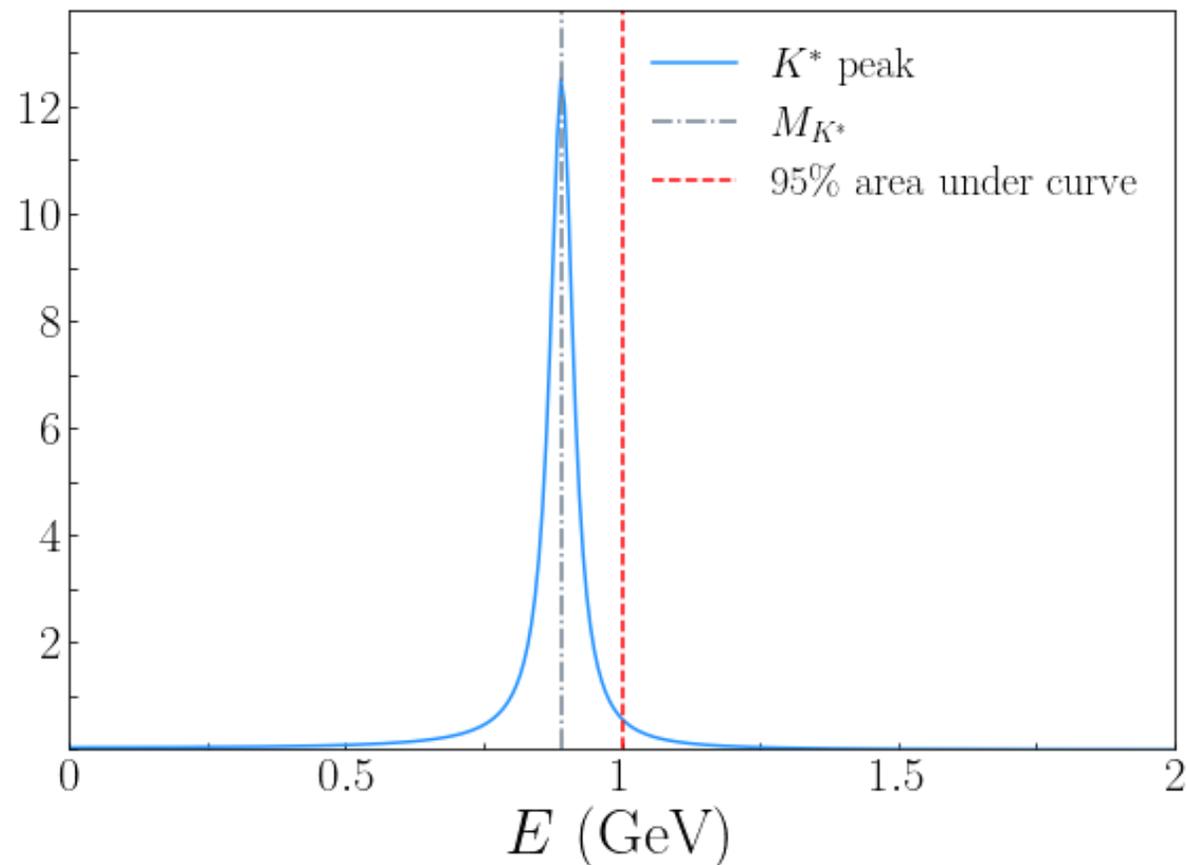
$$eN \rightarrow e'N'\pi X$$

- Measure an outgoing pion in the TDIS experiment
- Gives us another observable sensitive to pion TMDs
 - Needed for tests of universality
 - Optimal range of x_π to be sensitive to non-perturbative TMDs



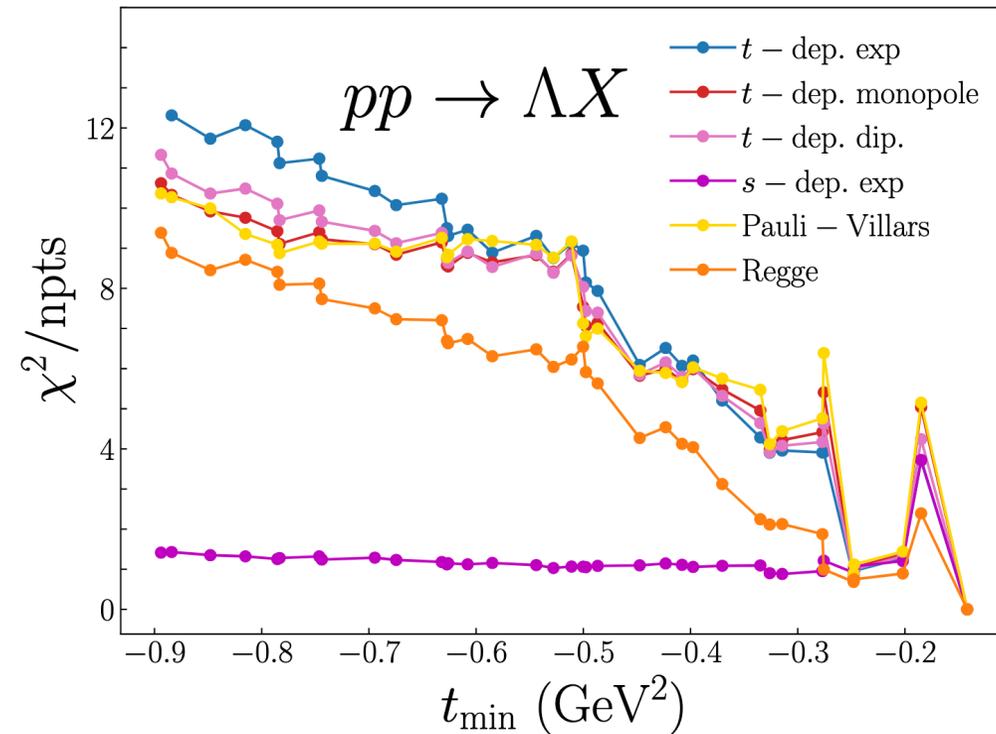
Resonance from K^*

- The K^* resonance is much more narrow than for ρ meson
- $W_{K,\max}^2 = 1 \text{ GeV}^2$



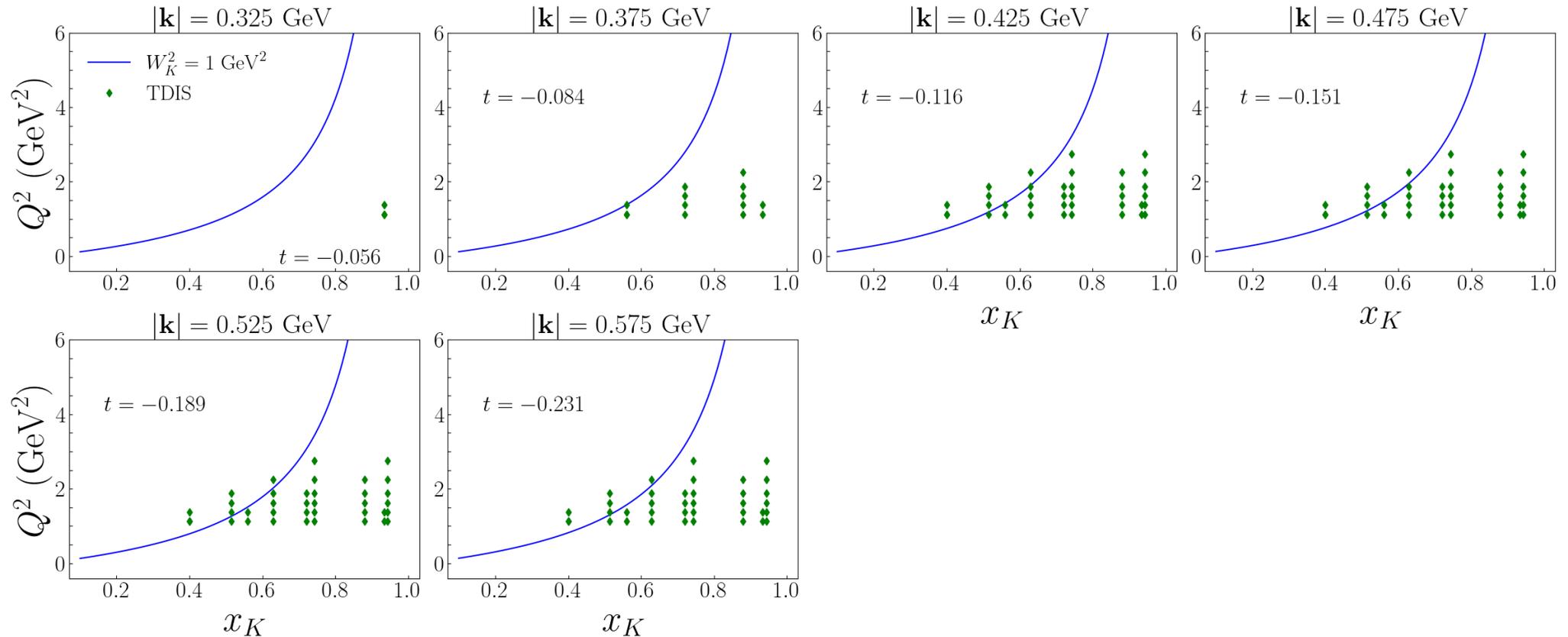
Analysis results for the $pp \rightarrow \Lambda X$ data

- Limit ourselves to a $t_{\min} = -0.25 \text{ GeV}^2$



Kinematics for 11 GeV Kaon TDIS

- Region of t satisfies our t_{\min} cut from the $pp \rightarrow \Lambda X$ analysis



Kinematics for 22 GeV Kaon TDIS

- Accepting of more points at smaller $|\mathbf{k}|$

