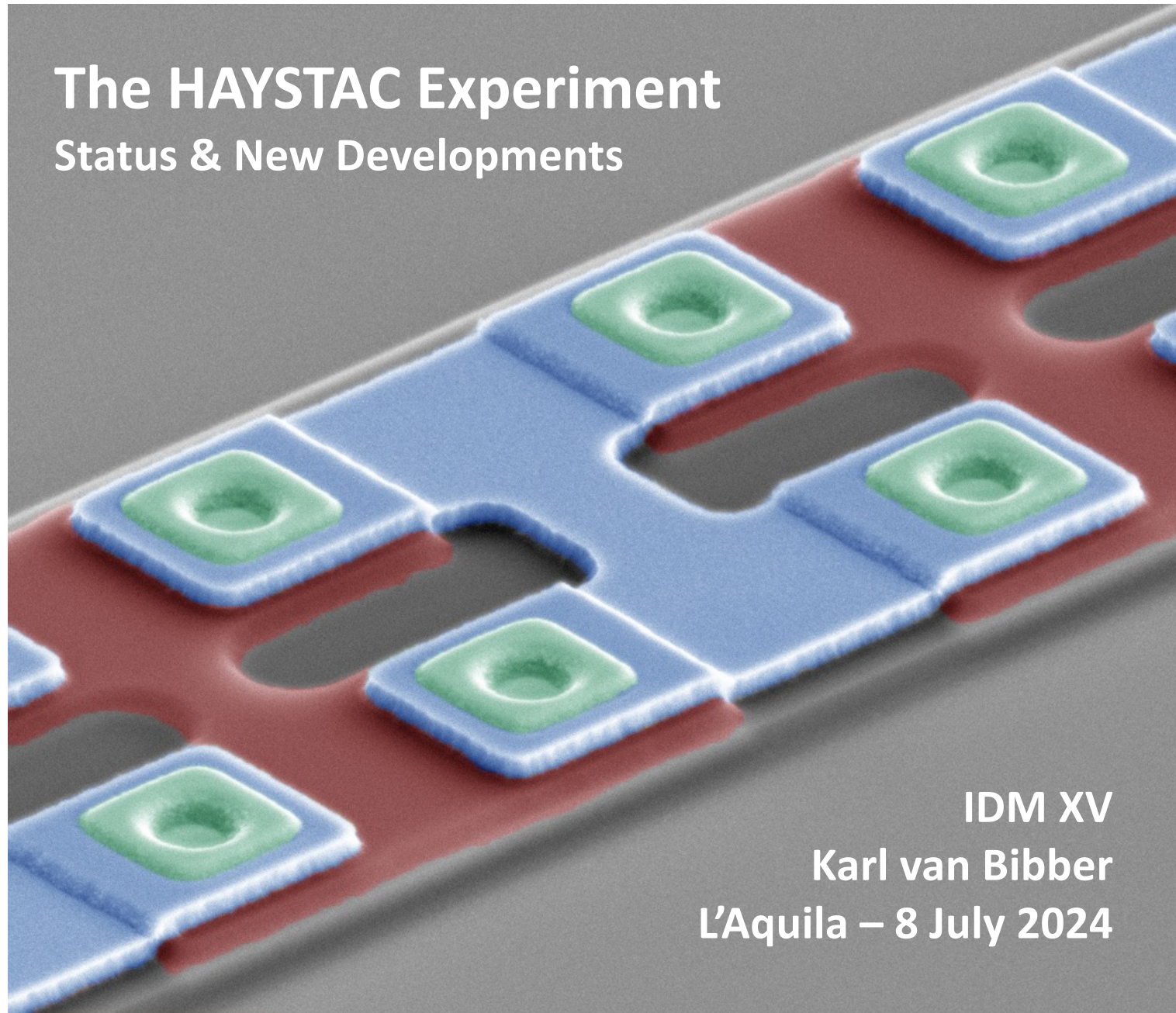


# The HAYSTAC Experiment

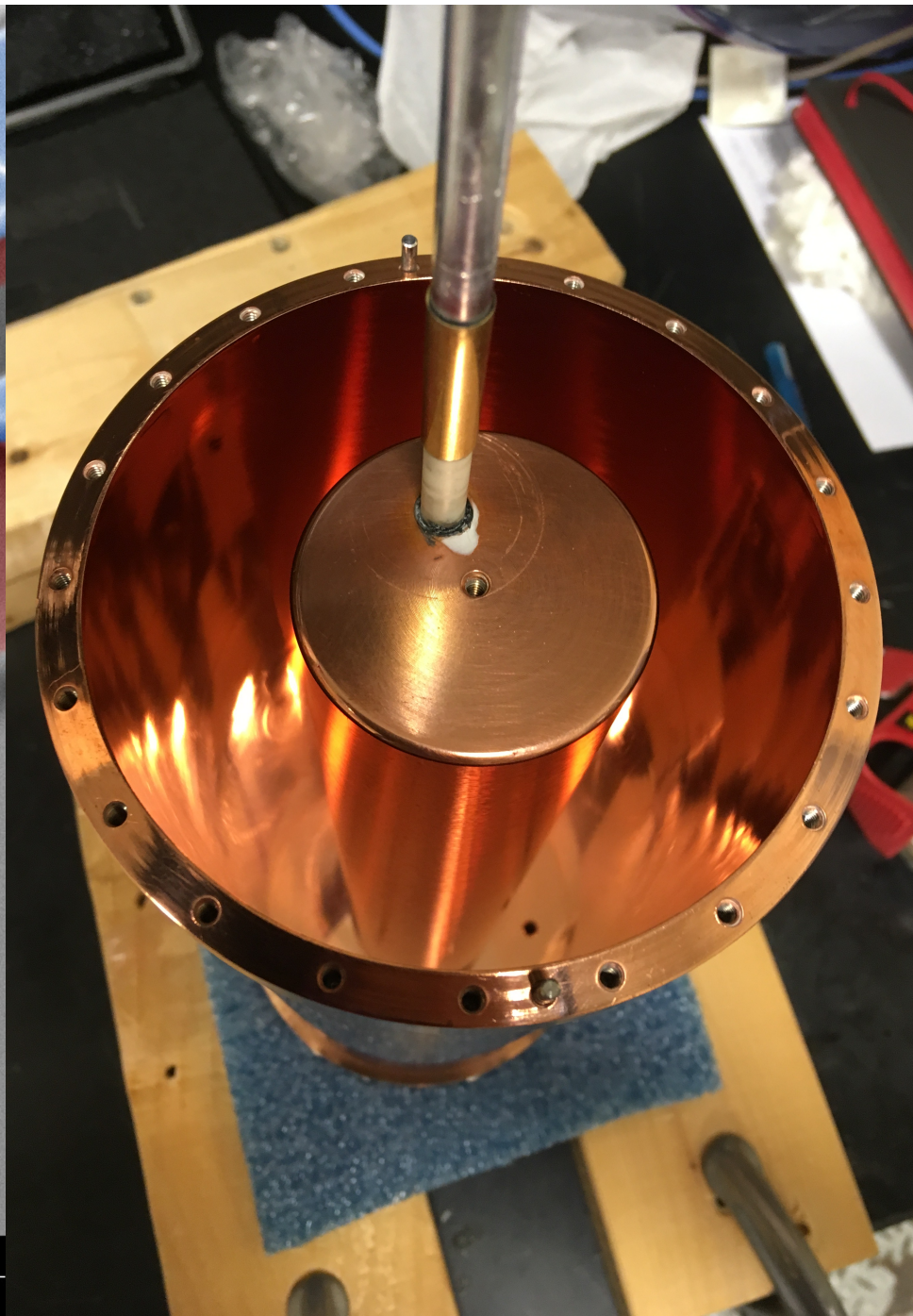
## Status & New Developments



IDM XV  
Karl van Bibber  
L'Aquila – 8 July 2024

|   |         |     |              |        |         |      |
|---|---------|-----|--------------|--------|---------|------|
|  | mag     | det | HFWD         | WD     | HV      | spot |
|   | 9 550 x | ETD | 15.6 $\mu$ m | 8.0 mm | 10.0 kV | 3.0  |

5  $\mu$ m  
Nova NanoSEM







Wright  
Laboratory



**JILA**  
CU Boulder and NIST

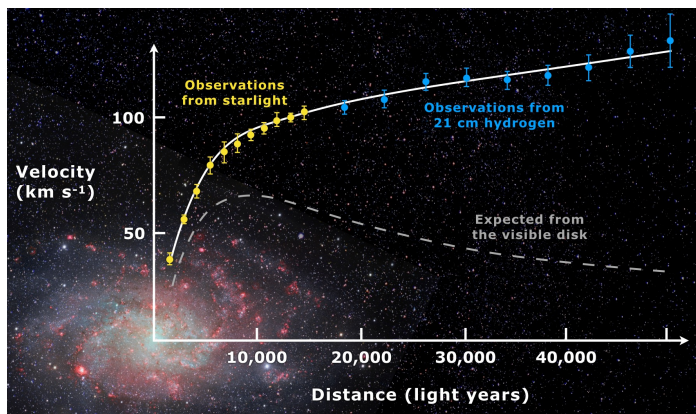
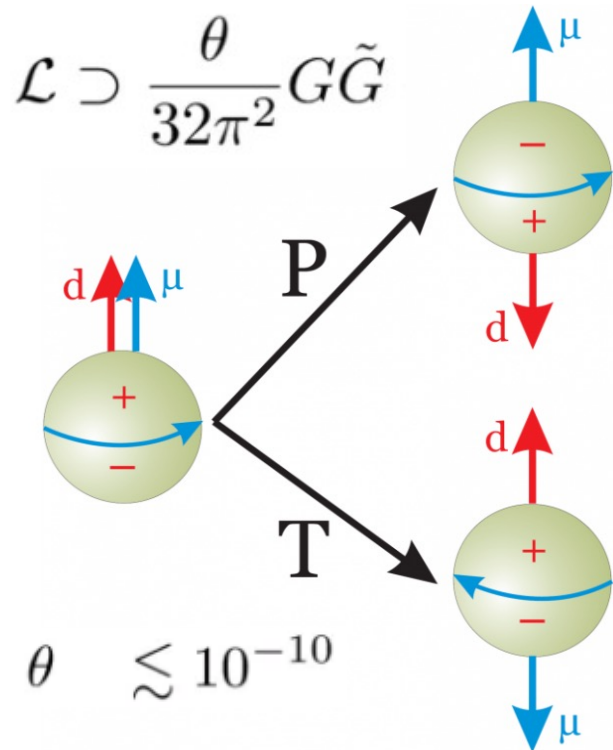


JOHNS HOPKINS  
UNIVERSITY

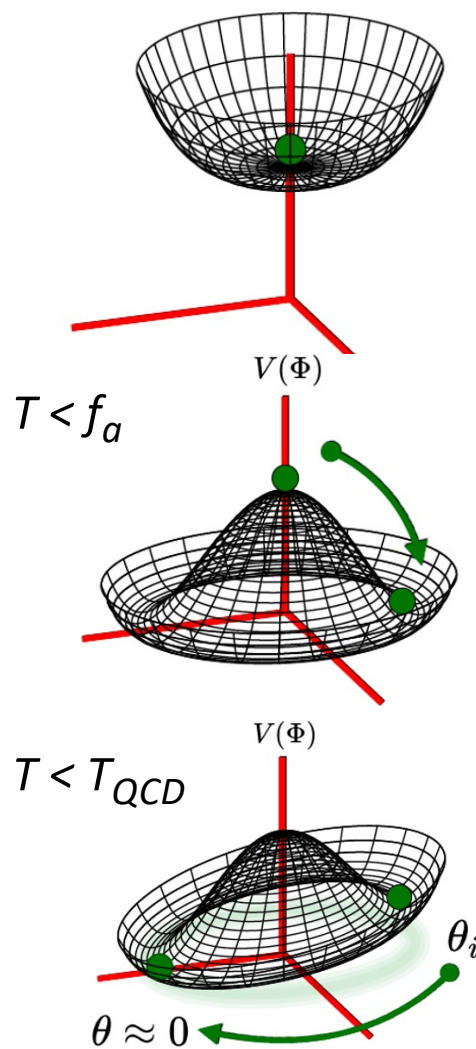


HEISING-SIMONS  
FOUNDATION





Peccei-Quinn  
Weinberg-Wilczek



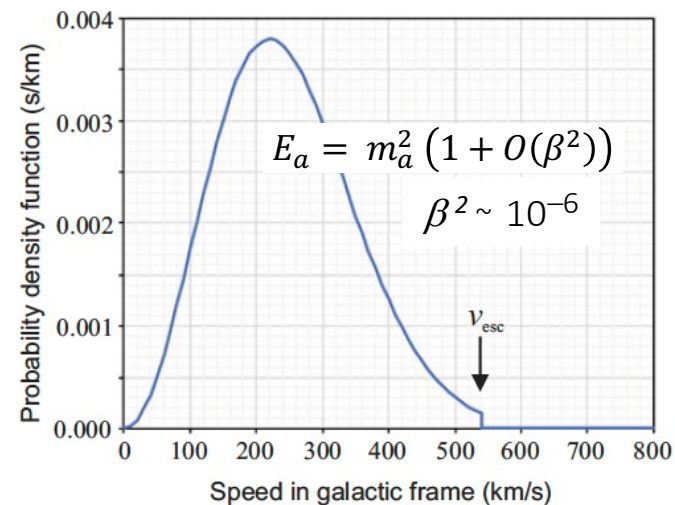
$\theta = O(1) \rightarrow m_a = O(10 \mu\text{eV})$   
to saturate the dark matter

The axion



$m_a, g_{a ii} \propto f_a^{-1} \quad \therefore g_{a ii} \propto m_a$   
 $10^{-12} \text{ eV} < m_a < 60 \text{ meV}$

The axion as halo dark matter

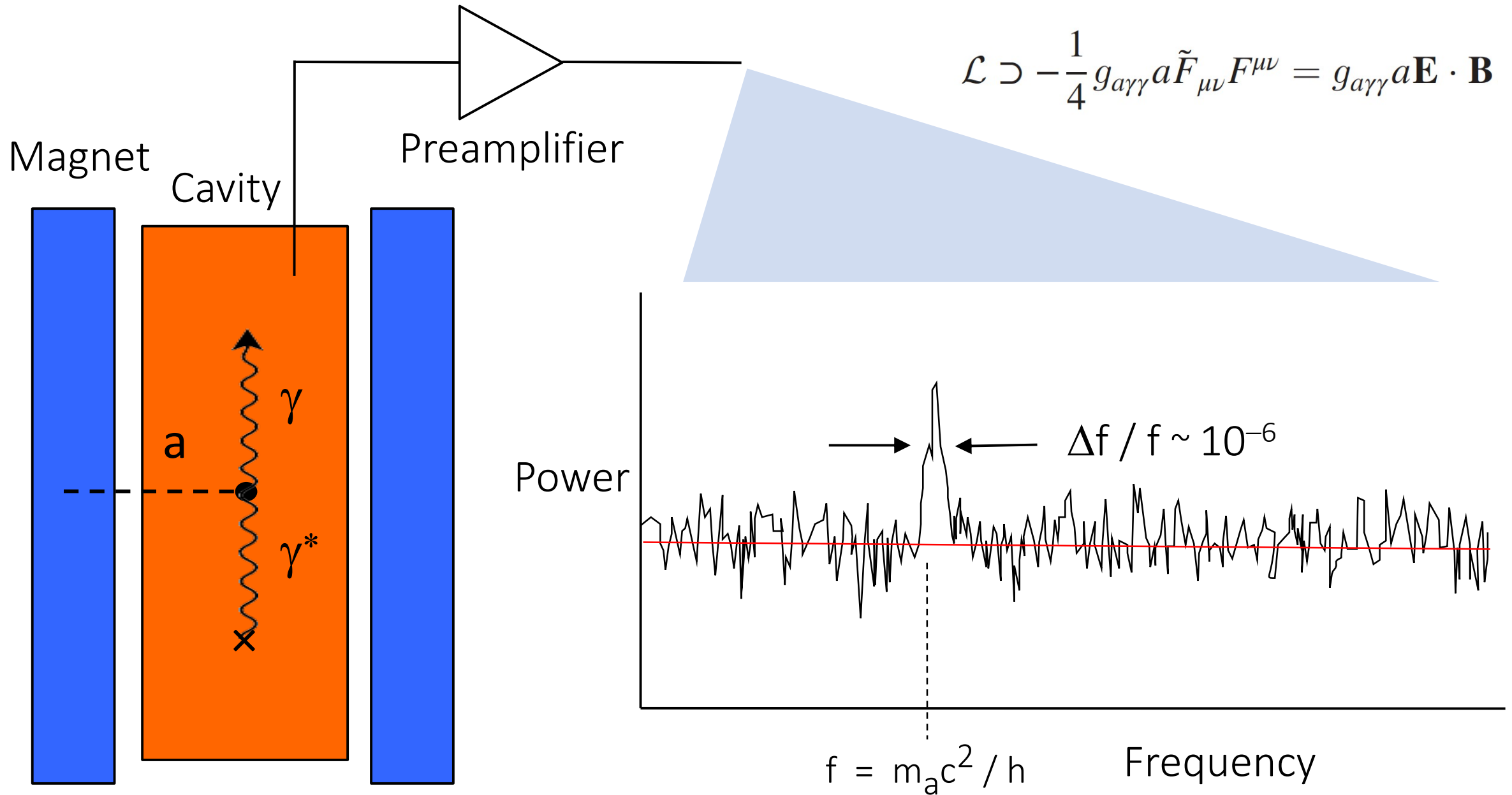


- $\rho_a \sim 10^{14} \text{ cm}^{-3}$
- $\lambda_{\text{deB}} \sim 100 \text{ m}$

*This is wavelike dark matter,  
treat as a classical field!*

# The Microwave Cavity Dark Matter Experiment

*P. Sikivie, Phys. Rev. Lett. 51 (1983) 1415*





# Conversion power, scan rate

## Signal power

$$P_0 = 1.7 \times 10^{-21} \text{W} \left( \frac{V}{0.2 \text{m}^3} \right) \left( \frac{B_0}{7.6 \text{T}} \right)^2$$

$$\times C_{lmn} \left( \frac{g_\gamma}{0.97} \right)^2 \left( \frac{\rho_a}{7.5 \times 10^{-25} \text{g/cm}^3} \right)$$

$$\times \left( \frac{f}{700 \text{ MHz}} \right) \left( \frac{Q_L}{90000} \right) \frac{\beta}{(1 + \beta)} \frac{1}{1 + (2Q_L \delta f / f_0)^2}$$

$Q_L = Q_0 / (1 + \beta)$     Loaded Q-value;  $\beta$  coupling  
 $\delta f = f - f_0$         Offset from central  
 $C_{lmn}$                 Cavity form factor

## Scanning rate

$$\frac{df}{dt} \approx \frac{15 \text{GHz}}{\text{year}} \left( \frac{V}{0.2 \text{m}^3} \right)^2 \left( \frac{B_0}{7.6 \text{T}} \right)^4$$

$$\times C_{010}^2 \left( \frac{g_\gamma}{0.97} \right)^4 \left( \frac{\rho_a}{7.5 \times 10^{-25} \text{g/cm}^3} \right)^2$$

$$\times \left( \frac{f}{700 \text{ MHz}} \right)^2 \left( \frac{Q_L}{90000} \right) \frac{\beta^2}{(1 + \beta)^2} \left( \frac{5}{\text{SNR}} \right)^2$$

$$\times \left( \frac{3 \text{K}}{T_s} \right)^2 \left( \frac{f_{\text{step}}}{\Delta f} \right) \sum_{n=-m}^m \frac{1}{(1 + ((2nf_{\text{step}}/\Delta f))^2)^2}$$

$\Delta f$             Cavity bandwidth  
 $f_{\text{step}}$         Frequency tuning steps  
 $n$               Overlapping tuning steps

## Form factor & Quality Factor

$$C_{lmn} = \frac{\left( \int_V \mathbf{B}(\mathbf{x}) \cdot \mathbf{E}_{lmn}(\mathbf{x}) d^3\mathbf{x} \right)^2}{B_0^2 V \int_V \epsilon_r(\mathbf{x}) \mathbf{E}_{lmn}(\mathbf{x})^2 d^3\mathbf{x}}$$

$$Q = O \frac{(\text{Volume})}{(\text{Surface Area}) \cdot (\text{Skin Depth})}$$

# System noise temperature, Figure-of-merit

## System Noise Temperature

Dicke radiometer equation:

$$SNR = \frac{P}{k_B T_{SYS}} \sqrt{\frac{t}{\Delta\nu_a}}$$

$$k_B T_{SYS} = h\nu \left( \frac{1}{e^{h\nu/k_B T} - 1} + \frac{1}{2} \right) + k_B T_A$$

- T Physical temperature
- $T_A$  Amplifier noise temperature
- t Integration time

The Standard Quantum Limit  
for Linear Amplifiers

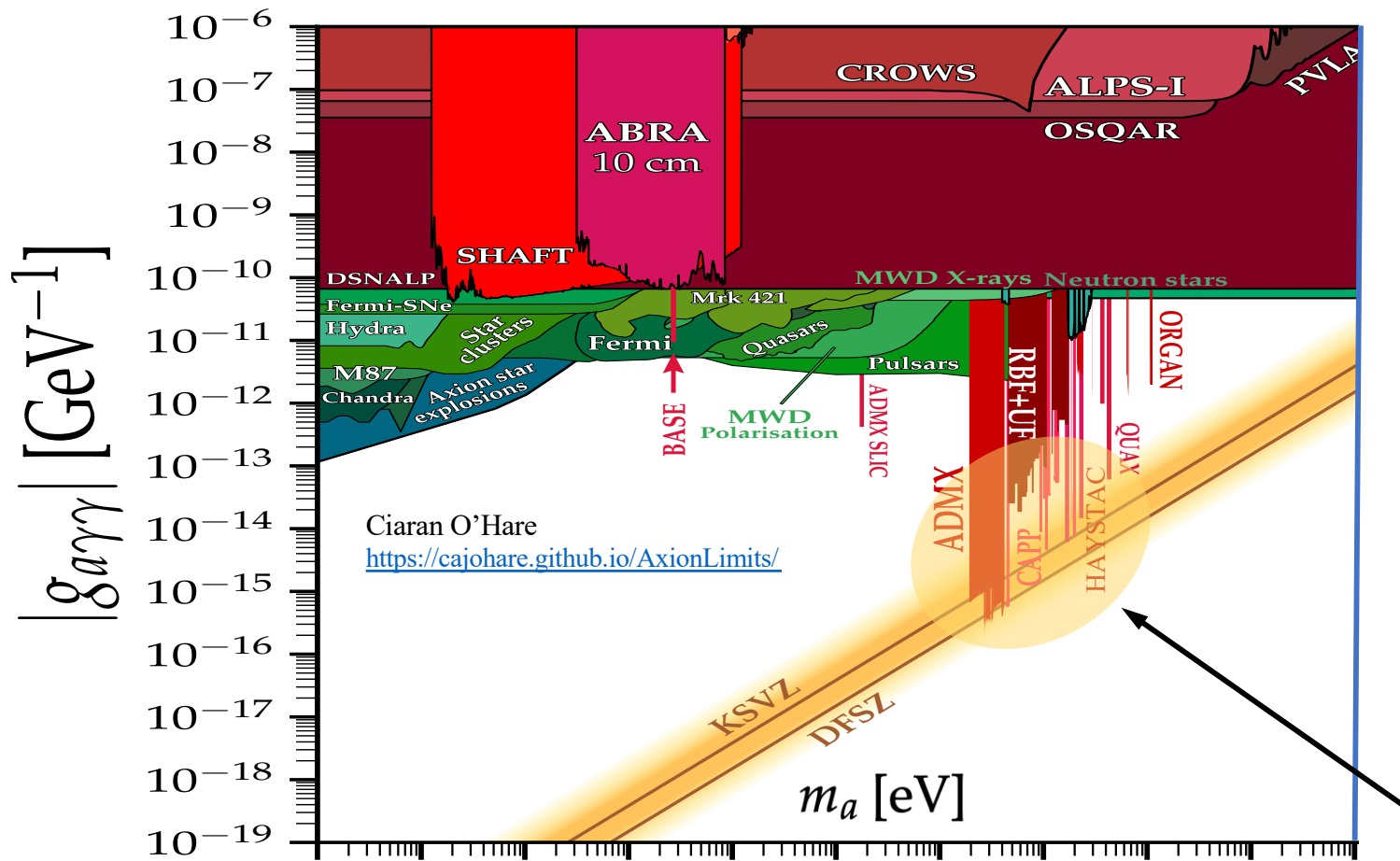
$$T_A > T_{SQL}$$

where

$$k_B T_{SQL} = h\nu$$

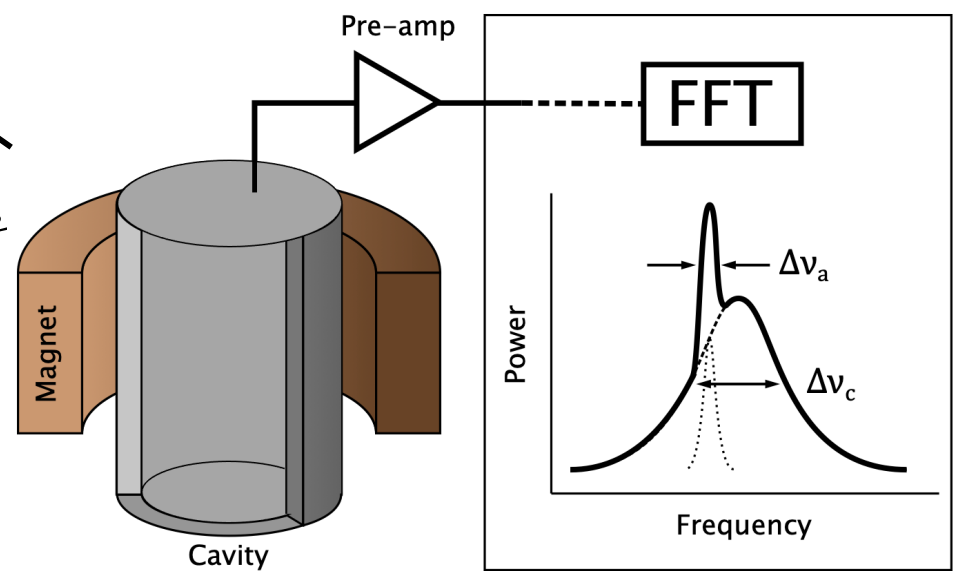
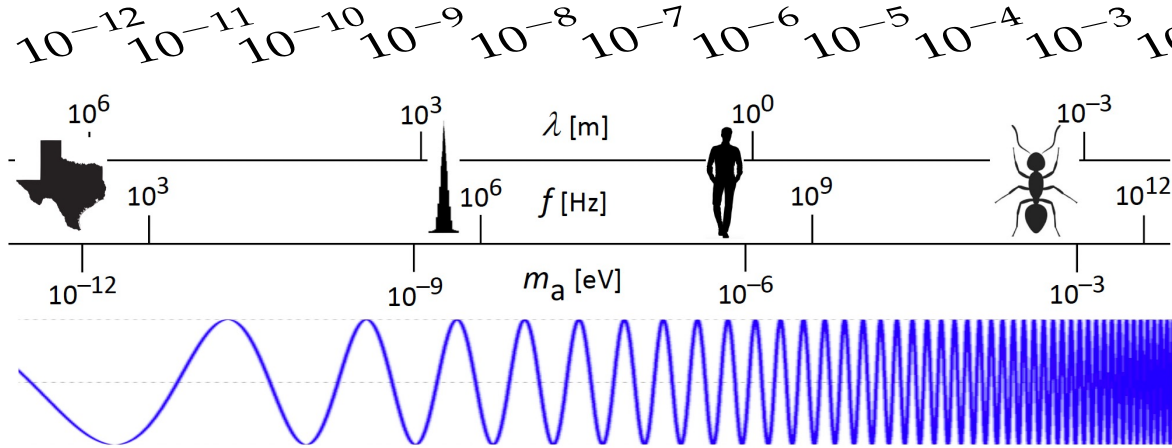
$$FOM \propto \frac{B^4 V^2 C^2 Q}{T_{SYS}}$$

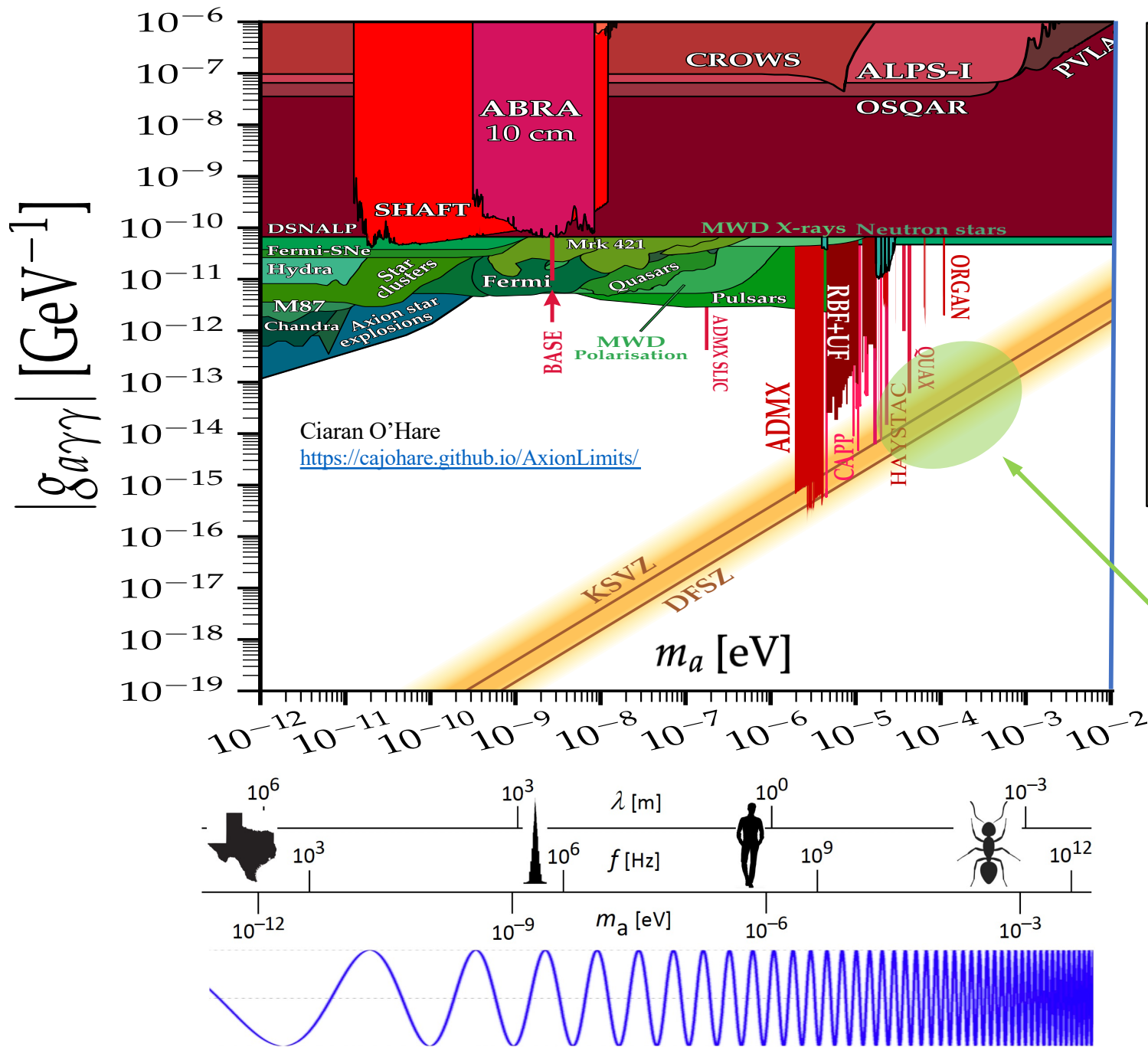




## Vacuum Realignment

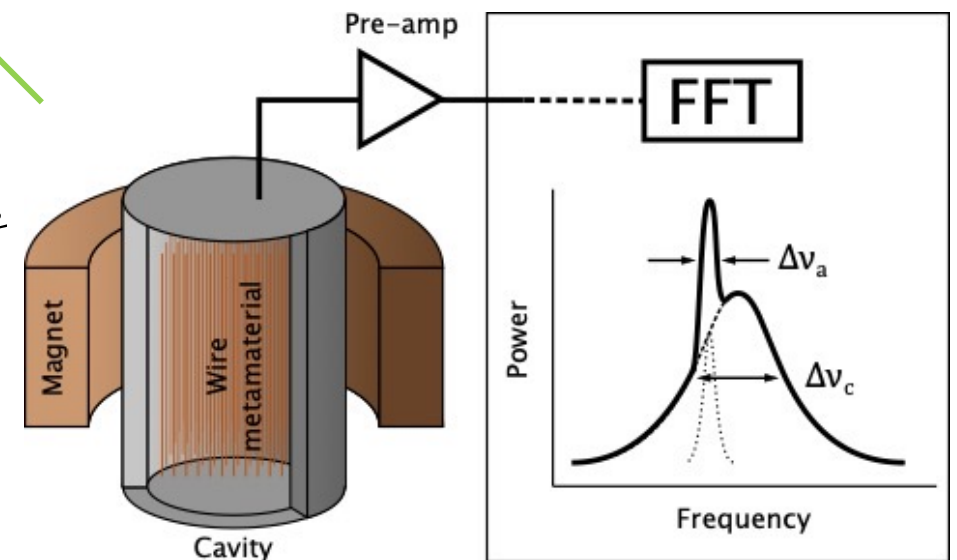
- $m_a \sim O(10 \mu\text{eV})$
- $\nu \sim O(\text{GHz})$
- $d \sim \lambda_c \sim O(0.1-1 \text{ m})$
- microwave cavities





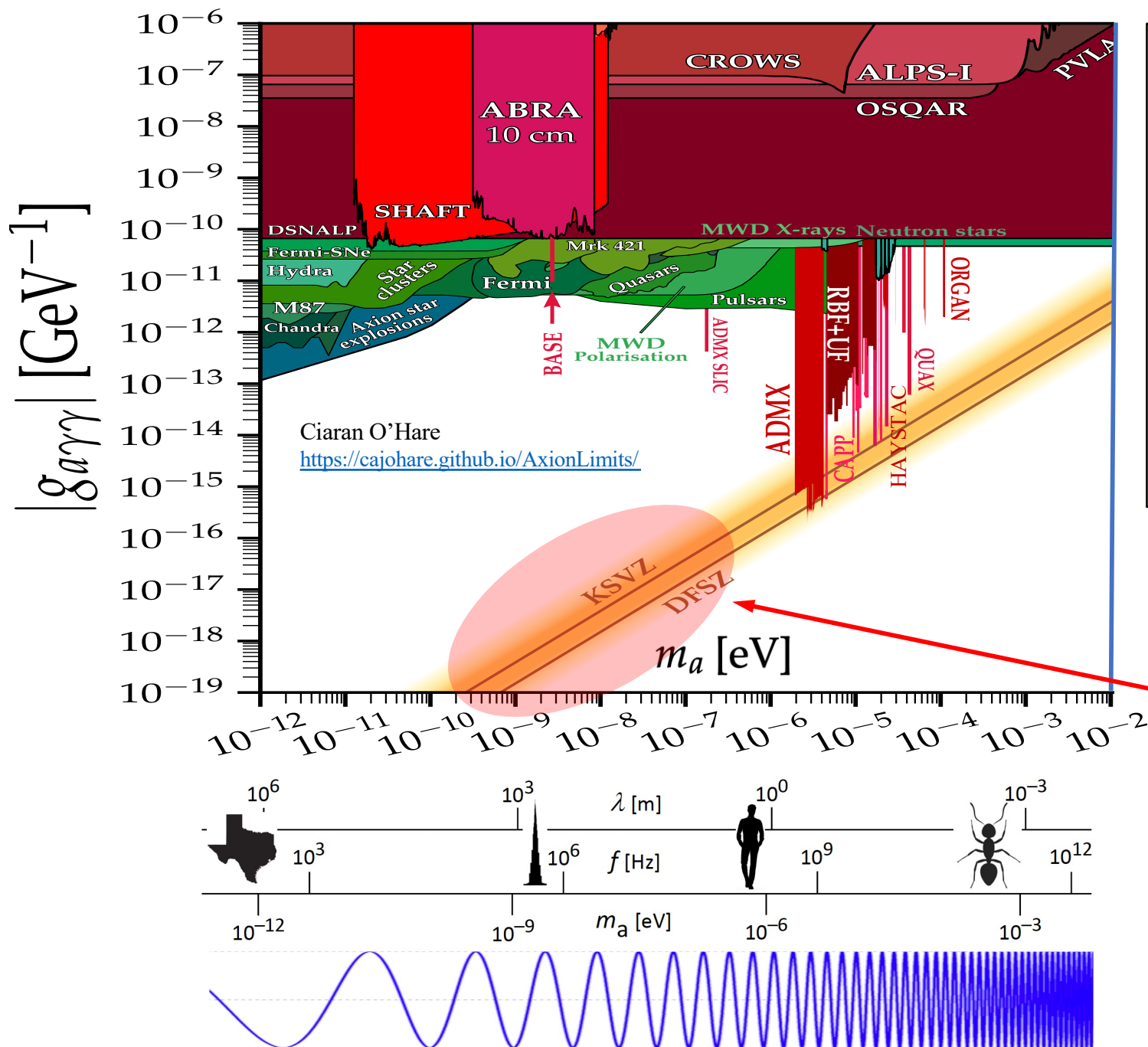
## Post-Inflation Axion

- $m_a \sim O(100 \mu\text{eV})$
- $\nu \sim O(10\text{-}100 \text{ GHz})$
- $\lambda_c = h/m_a c \leq O(\text{cm})$
- e.g. metamaterials



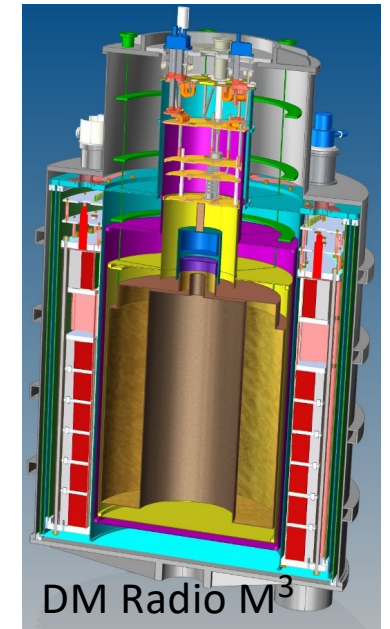
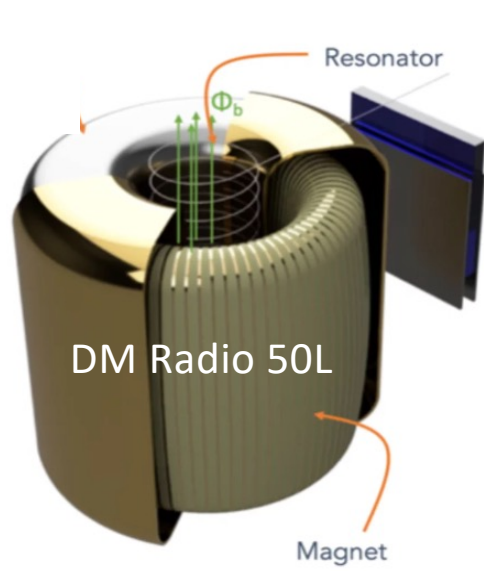
See H. Jackson, A. Gallo Rosso





# GUT-scale Axions

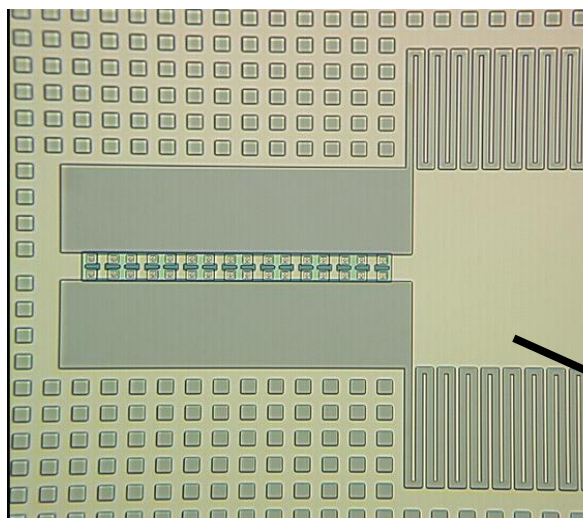
- $m_a \sim O(\text{neV})$
- $\nu \sim O(\text{kHz-MHz})$
- $\lambda_c = h/m_a c \sim O(\text{km})$
- lumped-element circuit



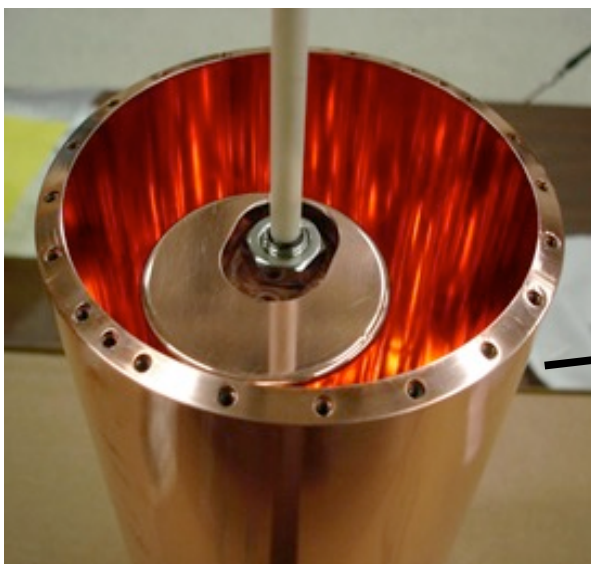
See A. Droster

# HAYSTAC – Pathfinder & Technology Testbed toward Post-Inflation Axion

JPA-based Squeezed-State Receiver



Microwave Cavity (copper)



$^3\text{He}/^4\text{He}$  Dilution Refrigerator

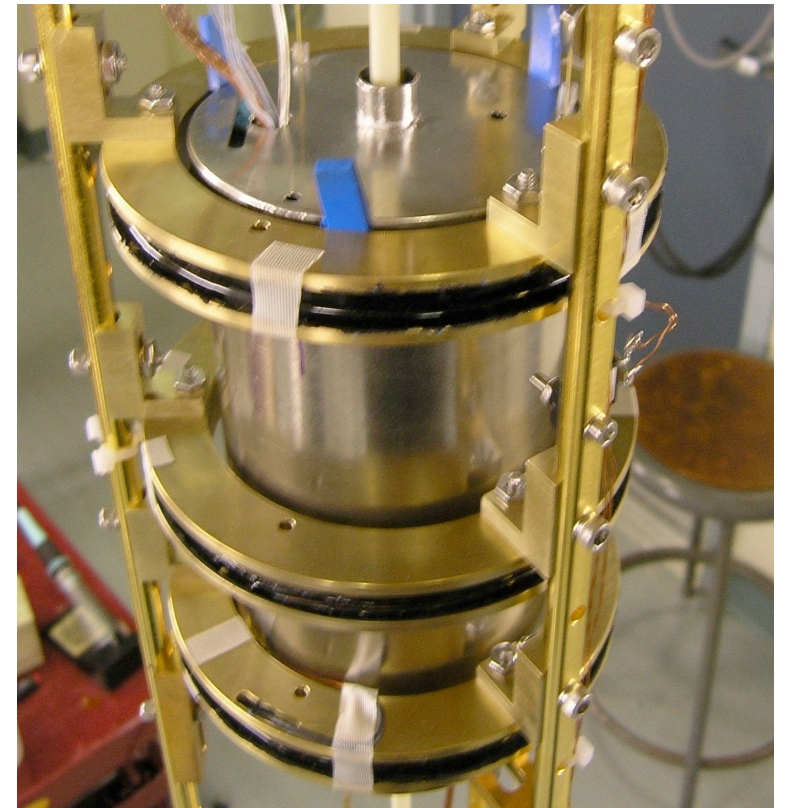
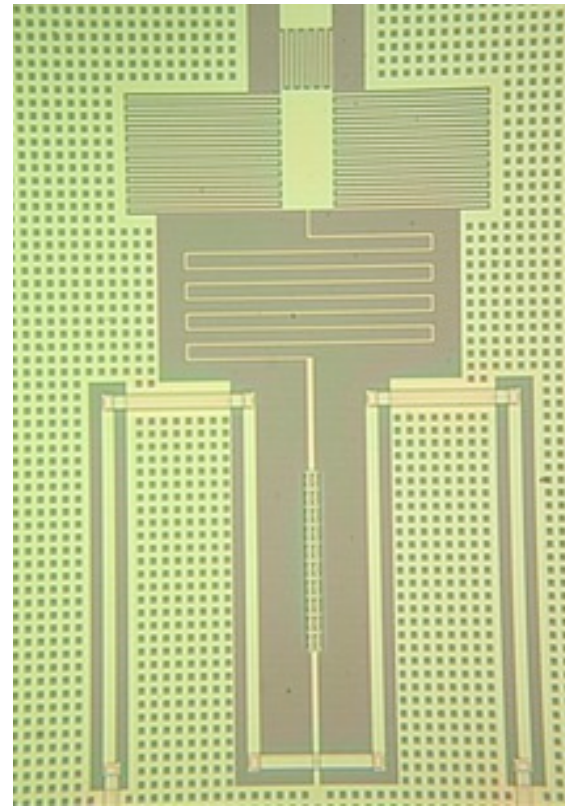
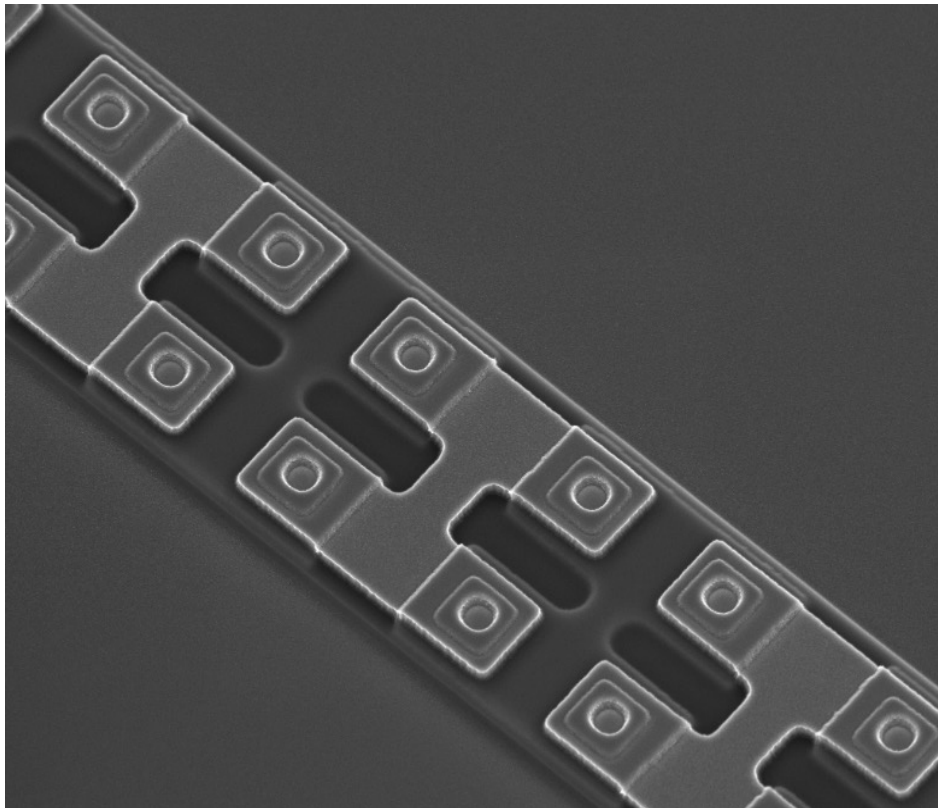


9.4 Tesla, 10 Liter Magnet





# HAYSTAC Phase I – single Josephson Parametric Amplifier (JPA)

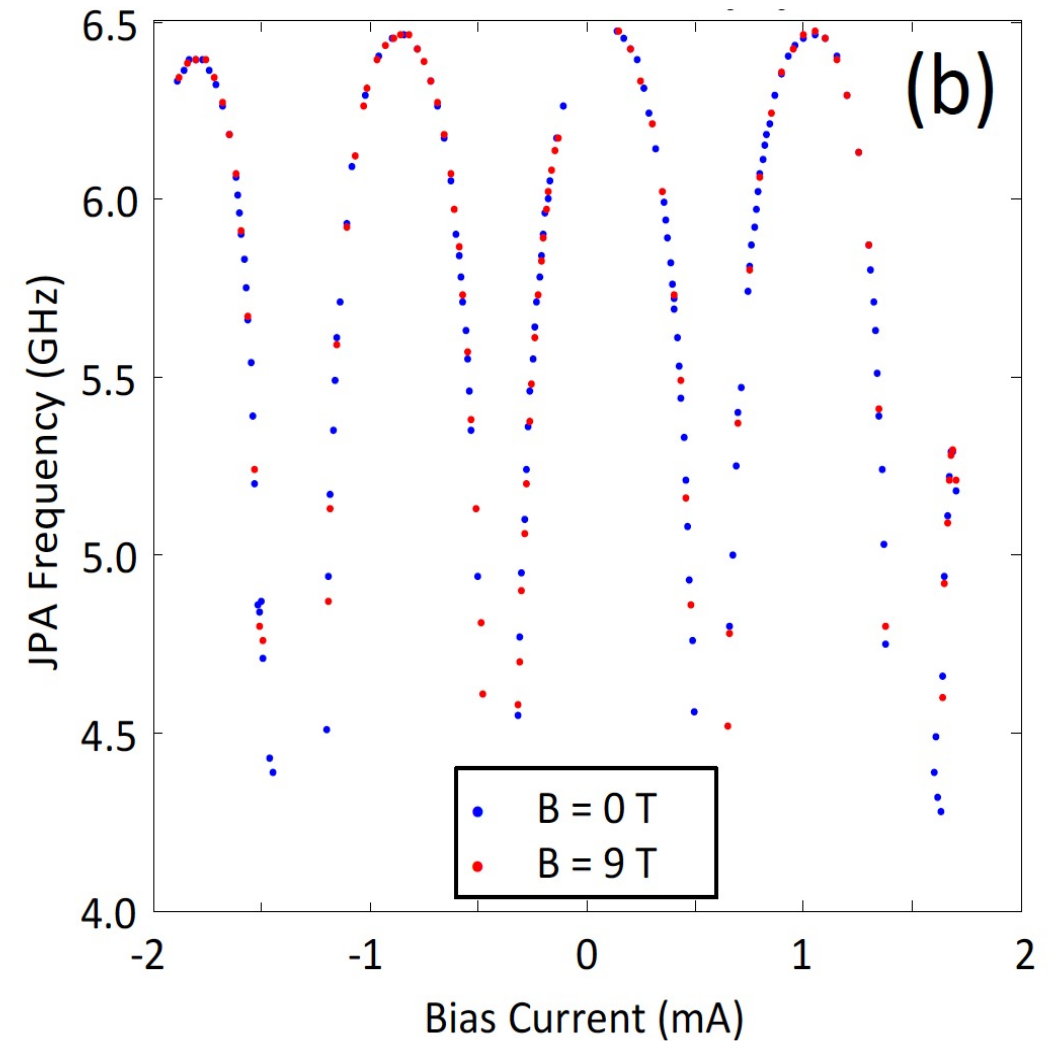
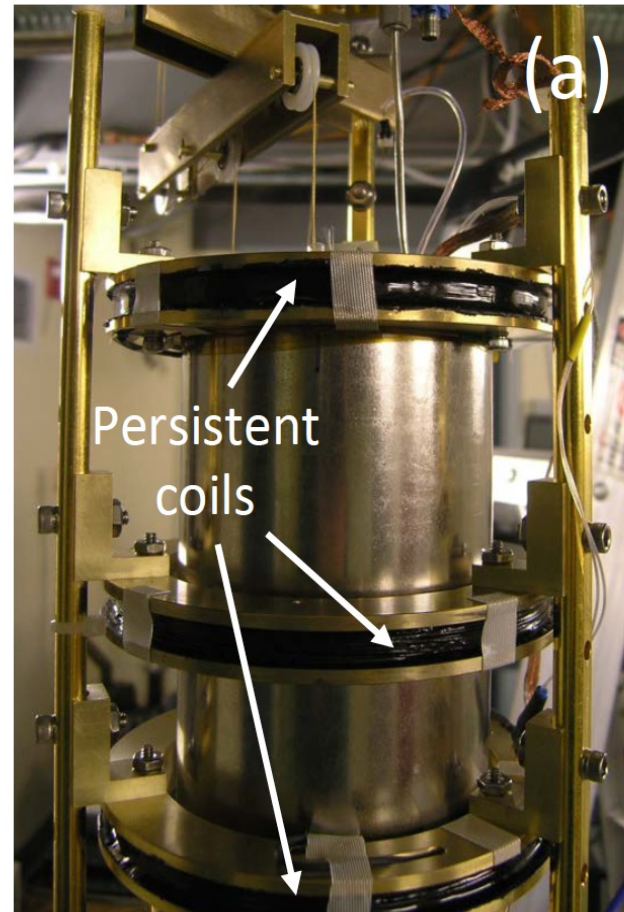


Operated at  $T_{\text{SYS}} \sim (2-3) \times T_{\text{SQL}}$  at 6 GHz

# The major challenge – magnetic shielding of the JPA

“Defense in depth”

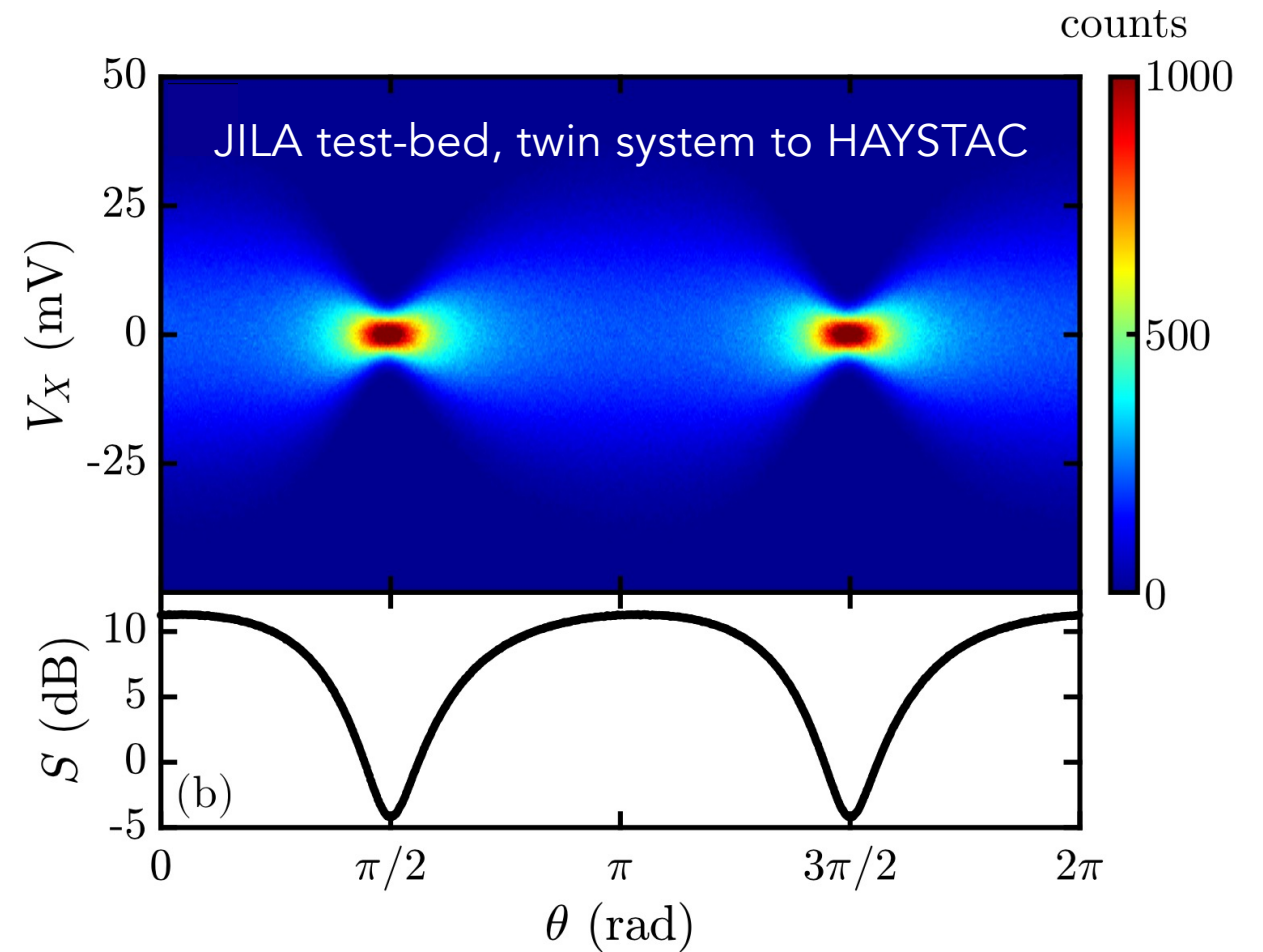
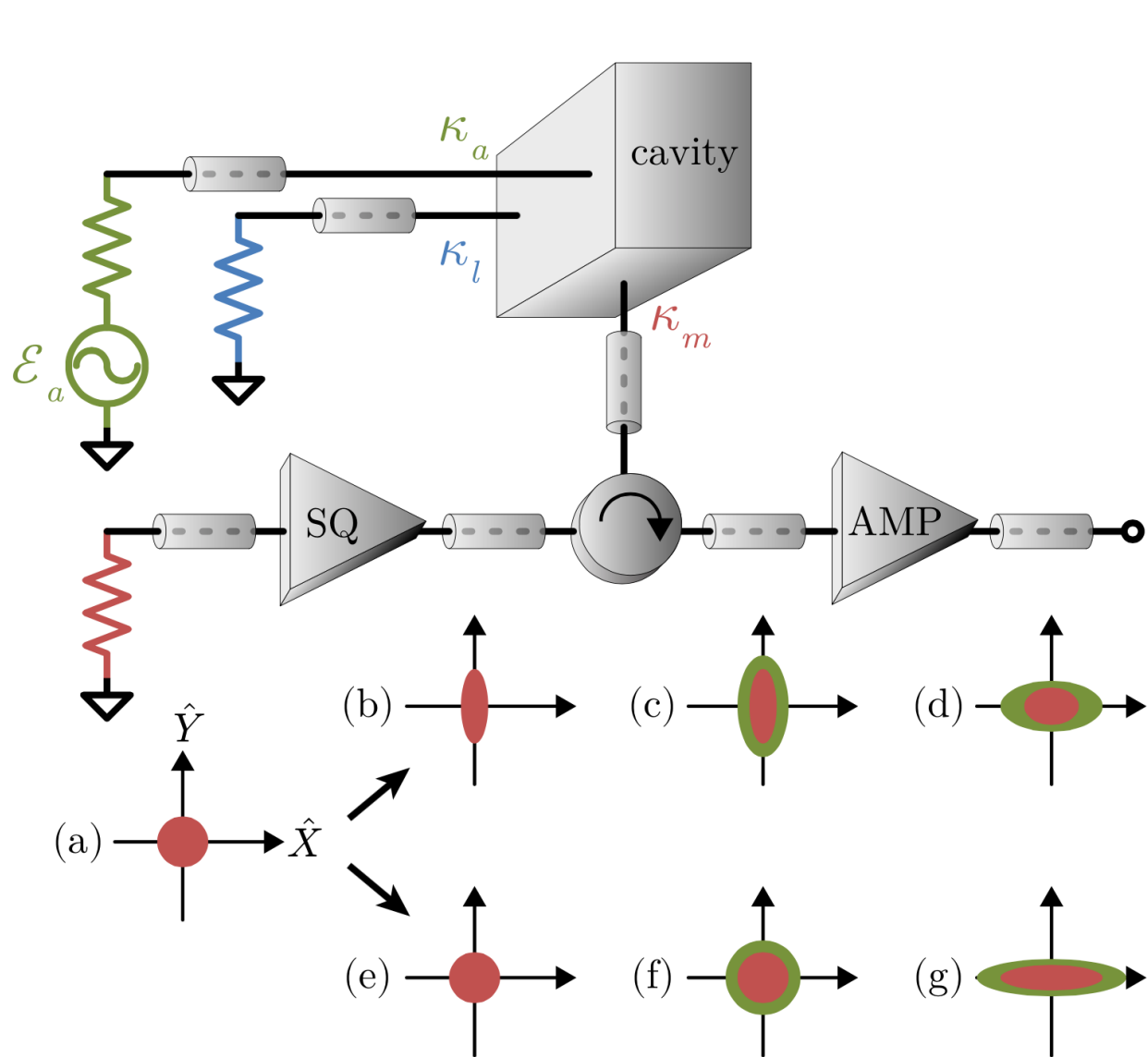
- Active bucking coil
- Persistent coils (4)
- Cryoperm (2 layers)
- S'con lead sheet
- S'con aluminum sheet



Remnant field at JPA ultimately reduced to  $< 0.01$  flux quantum



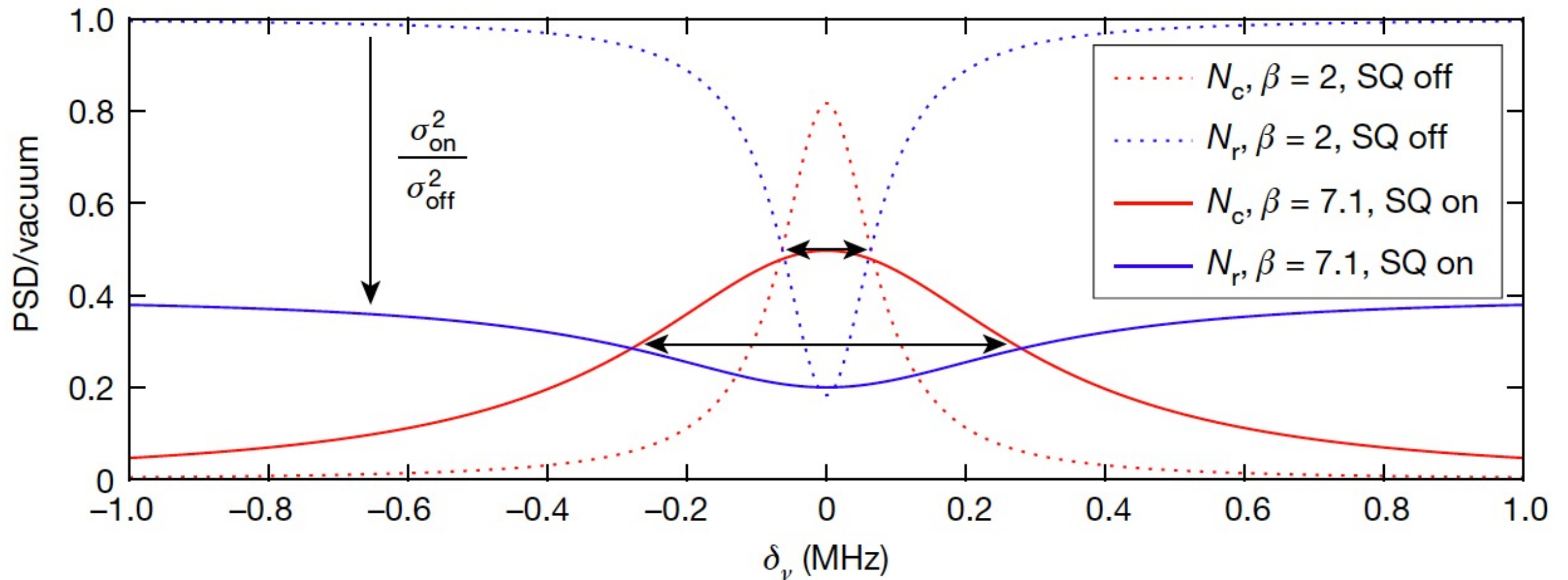
# HAYSTAC Phase II – Squeezed State Receiver (M. Malnou *et al.*, Phys. Rev. X 9 (2019) 021023)



Squeezing and amplifying in the same quadrature yielded  $-4.5 \pm 0.1$  dB, as predicted by modeling

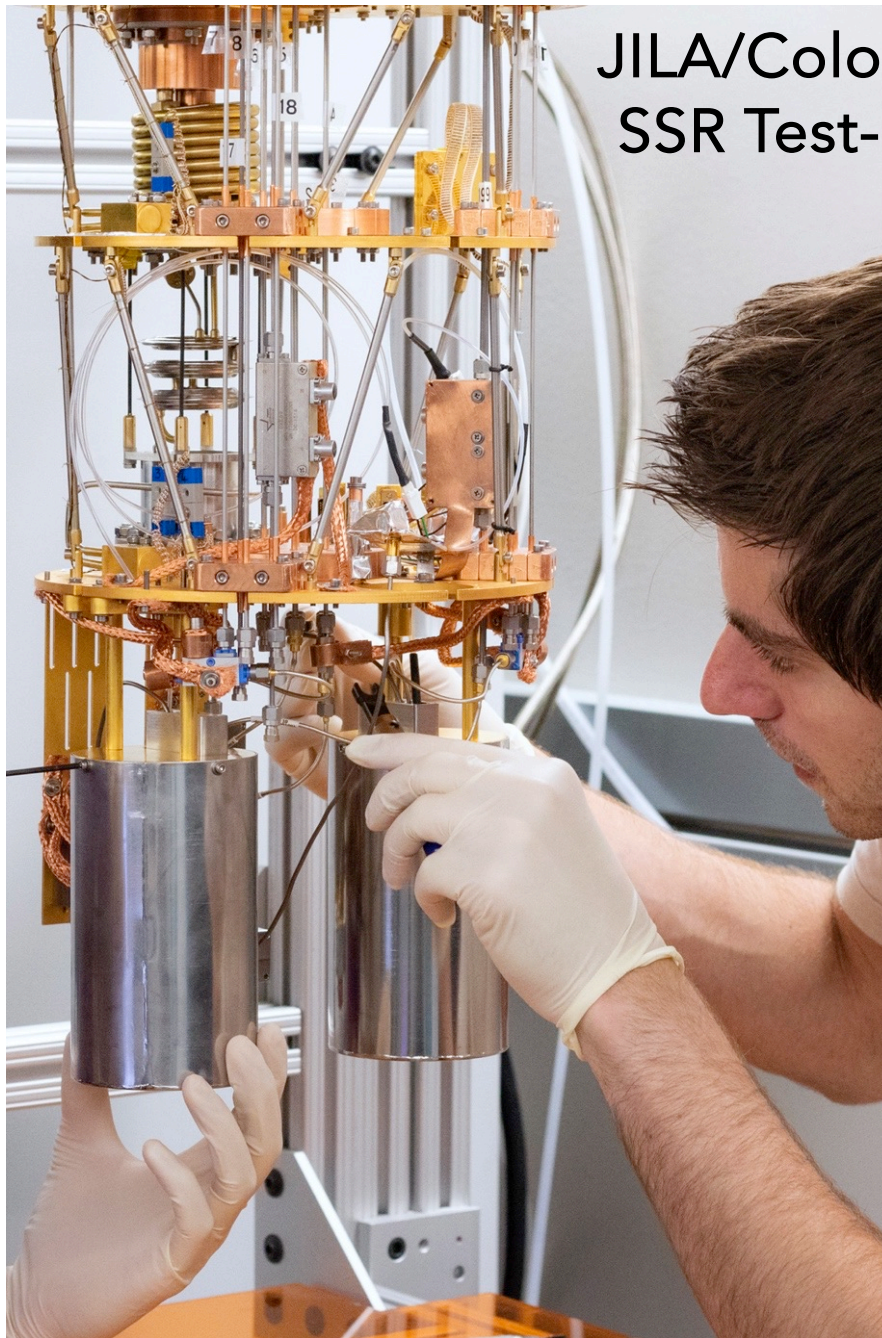


# Squeezing in detail

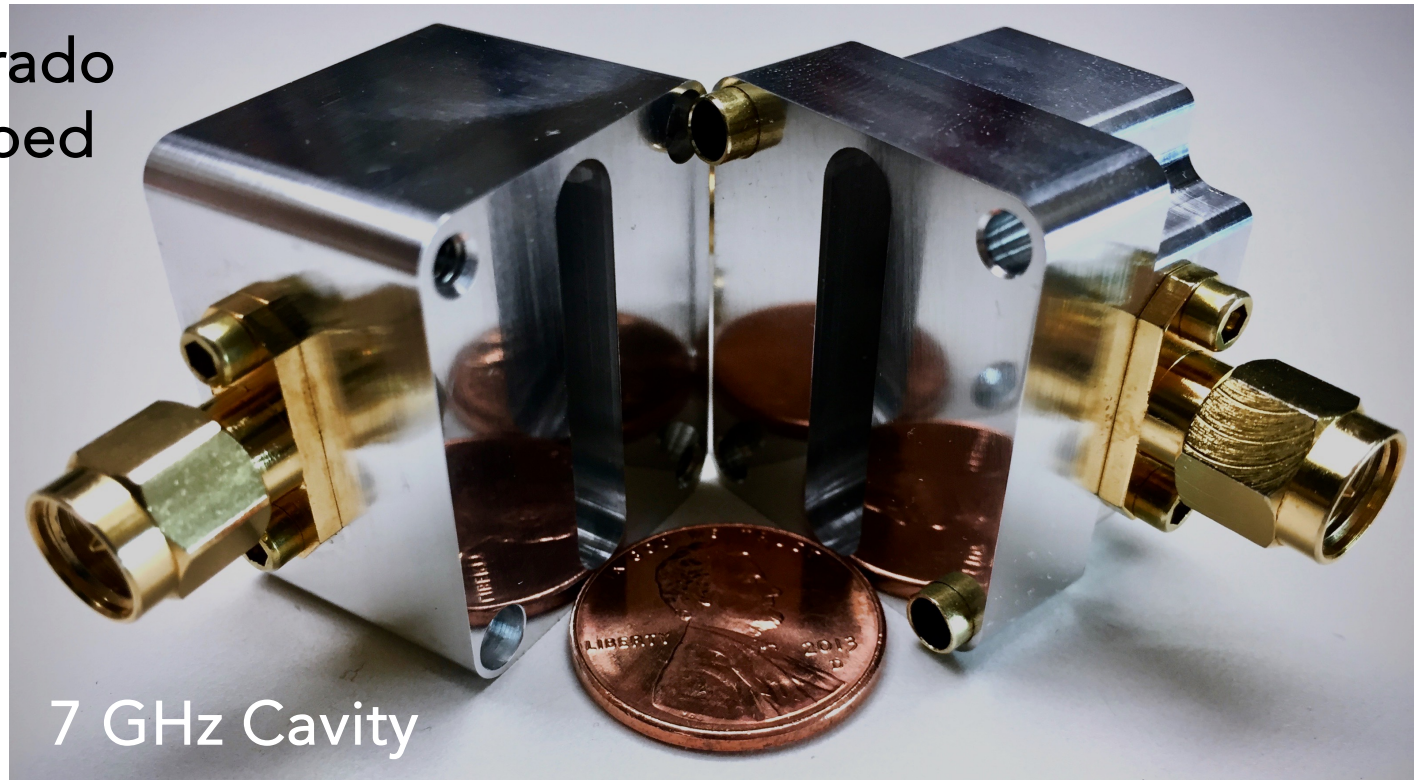


Overcoupling is essential to the acceleration

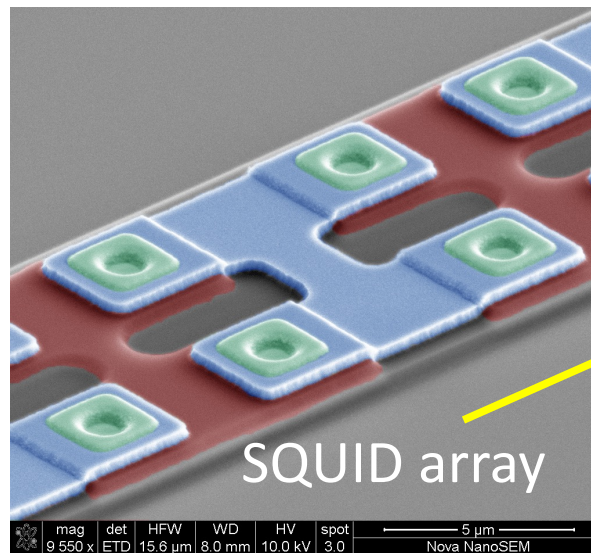




JILA/Colorado  
SSR Test-bed

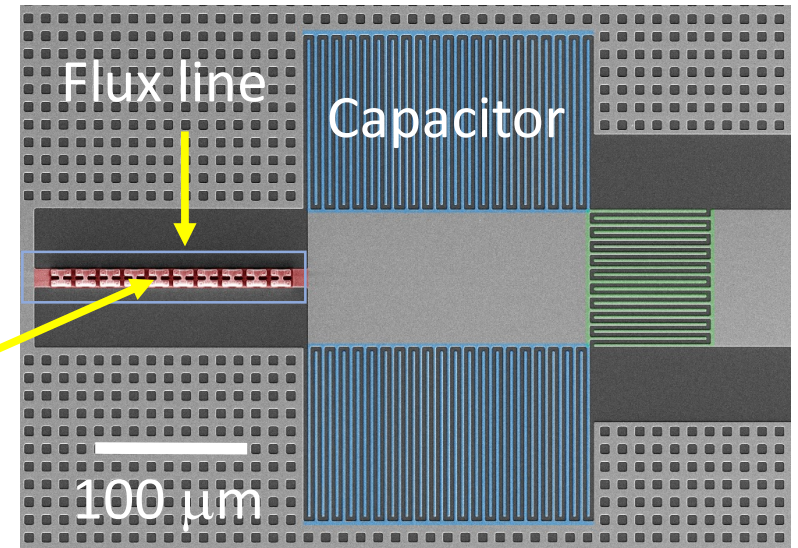


7 GHz Cavity



SQUID array

mag 9.550 x det ETD HFW 15.6 μm WD 8.0 mm HV 10.0 kV spot 3.0 5 μm Nova NanoSEM



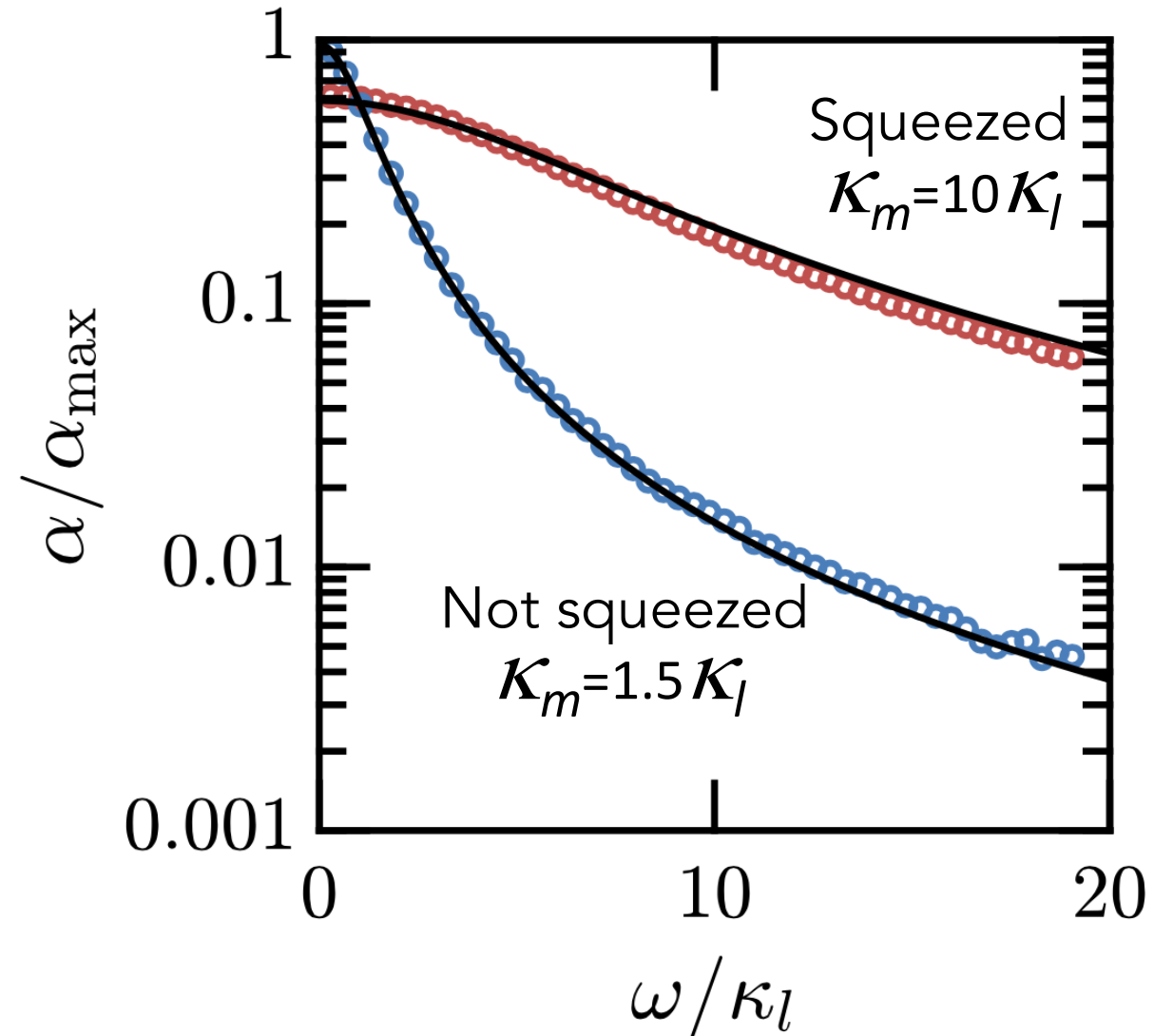
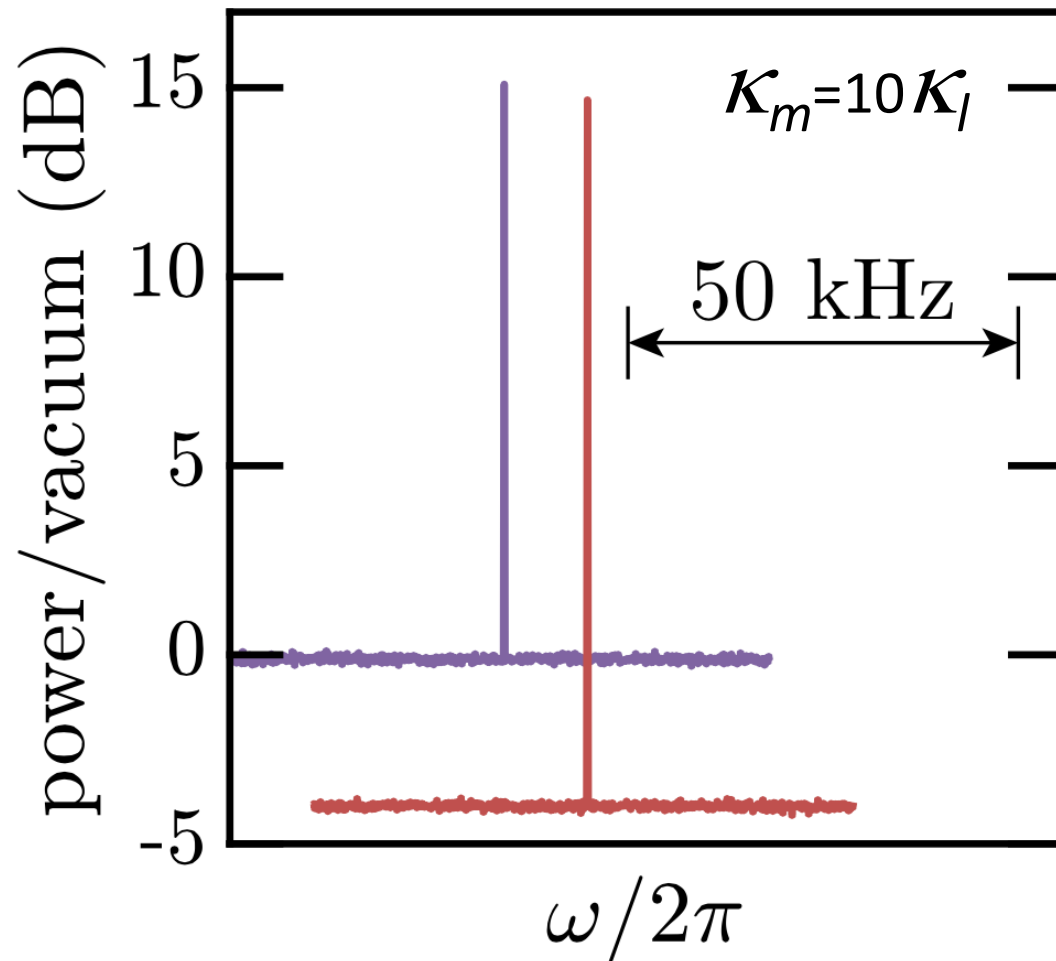
Flux line

Capacitor

100 μm



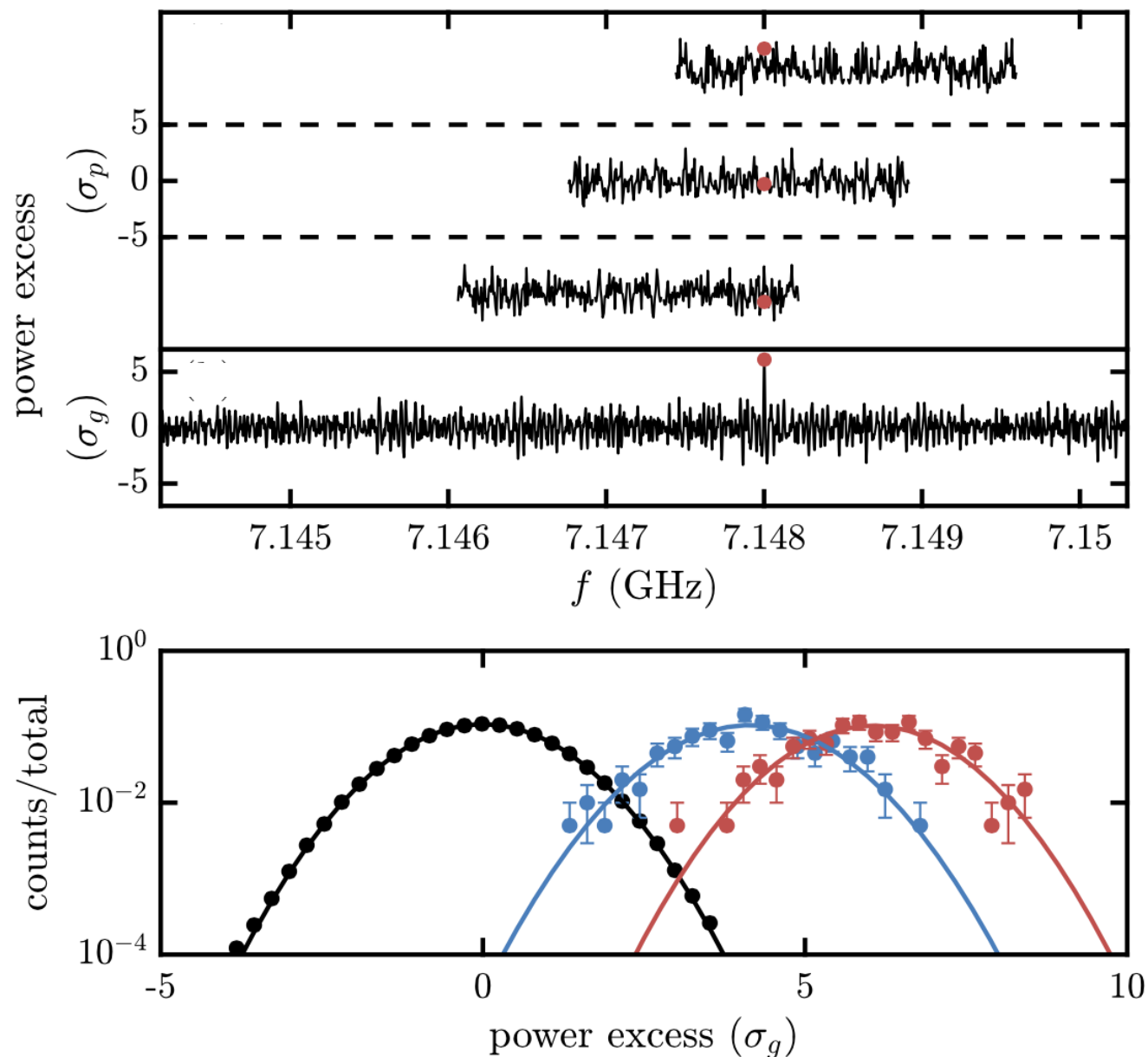
# Squeezing implies uniformly higher S/N over a wider bandwidth



The scan rate with squeezing optimizes at large overcoupling of the cavity, thus higher BW

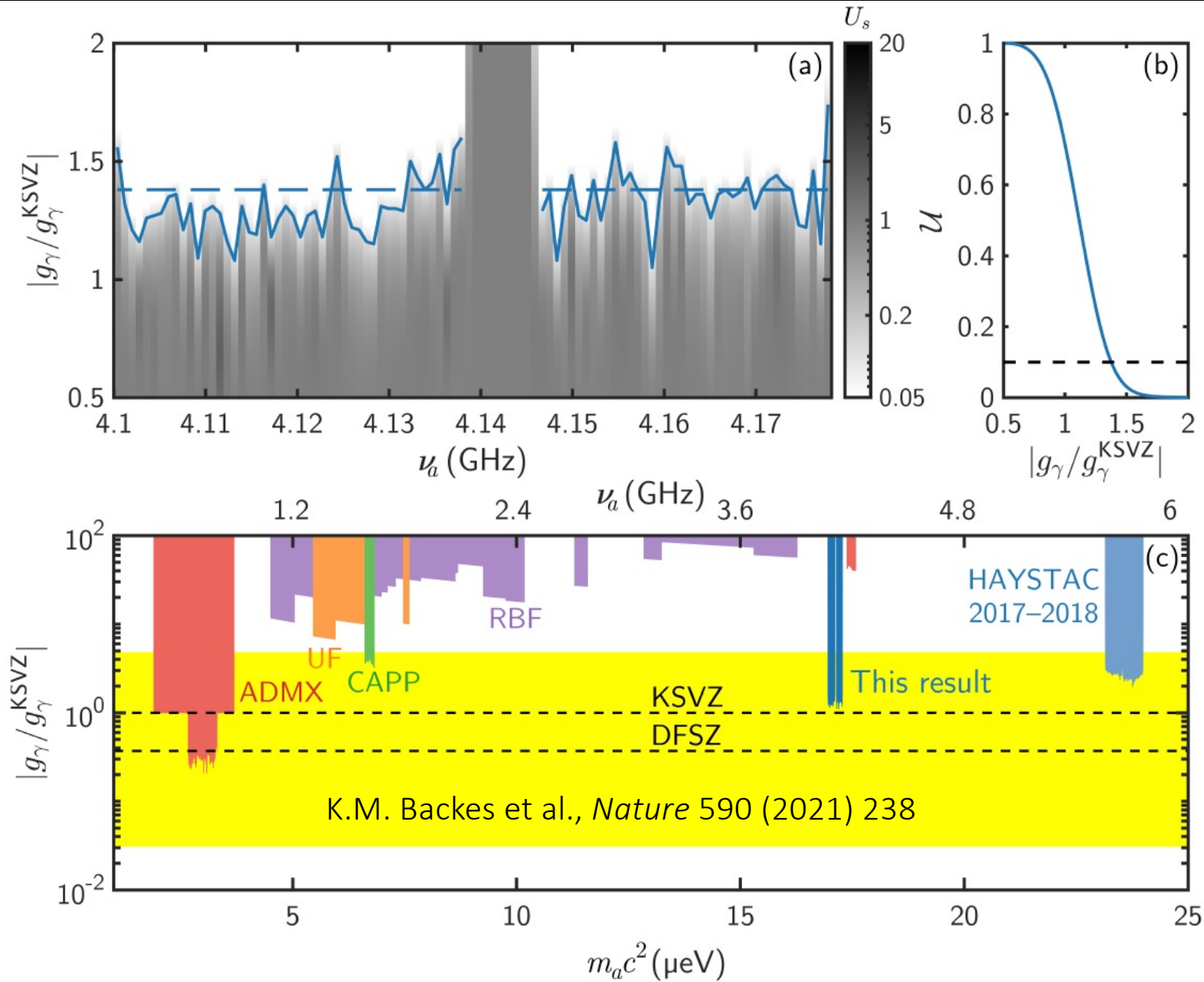


# Factor of 2.1 speedup in testbed; HAYSTAC achieved 1.9 *in situ* data taking



- ❑ Mock axion search done at JILA testbed
- ❑ Synthetic signal injected into the system of unknown frequency
- ❑ Search protocol repeated 200 times for each configuration
- ❑ Results are  $\mu_s = 6.05 \pm 0.07$  (with squeezing),  $\mu_s = 4.15 \pm 0.07$  (w/o), leading to  $2.12 \pm 0.08$  speedup
- ❑ HAYSTAC Phase II Run 1 achieved  $\sim x2$  speedup from SSR,  $x3$  speedup overall

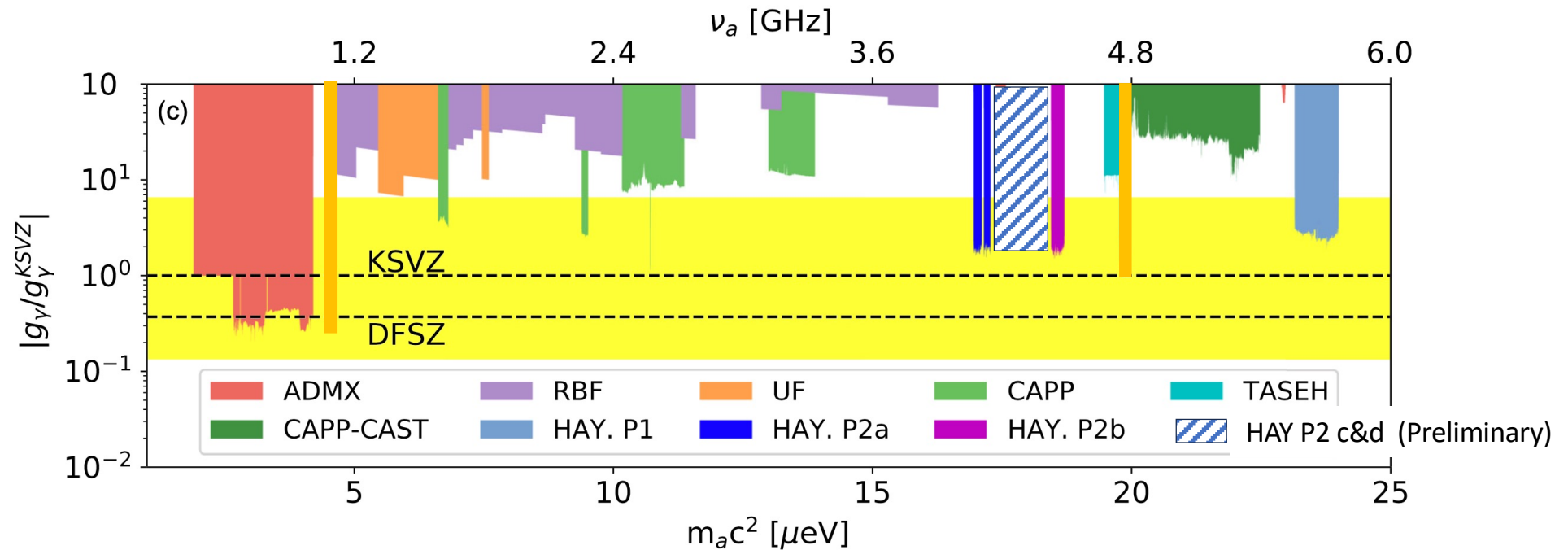
# HAYSTAC Phase II Run 1: First quantum-enhanced dark matter experiment; reaches 1.38 x KSVZ



- SSR reduced run time by  $\frac{1}{2}$
- Analysis incorporated new Bayesian analysis method (Palken et al., PRD 101 (2020) 123011)
- Sensitivity at 1.38 x KSVZ

# HAYSTAC data (2016 – )

| Name          | Amplifier         | Dates                        | Freq. Range                         | Sensitivity                    | Publication                                   |
|---------------|-------------------|------------------------------|-------------------------------------|--------------------------------|---|
| Phase I       | Phase Insensitive | Jan. 2016 – Jan. 2017        | 5.6–5.8 GHz                         | $2.70 \times  g_Y^{KSVZ} $     | <i>PRL 107 (2017)</i><br><i>PRD 97 (2018)</i> |
| Phase II      | Phase Sensitive   | a<br>Sept. 2019 – April 2020 | 4.100-4.140 GHz,<br>4.145-4.178 GHz | $1.95 \times  g_Y^{KSVZ} $     | <i>Nature 590 (2021)</i>                      |
|               |                   | b<br>July 2021 – Nov. 2021   | 4.459–4.523 GHz                     | $2.06 \times  g_Y^{KSVZ} $     | <i>Phys. Rev, D 107 (2023)</i>                |
| Phase II c, d | Phase Sens.       | 2023-24                      | 4.178-4.779 GHz                     | $\sim 2.7 \times  g_Y^{KSVZ} $ | <i>Preliminary</i>                            |

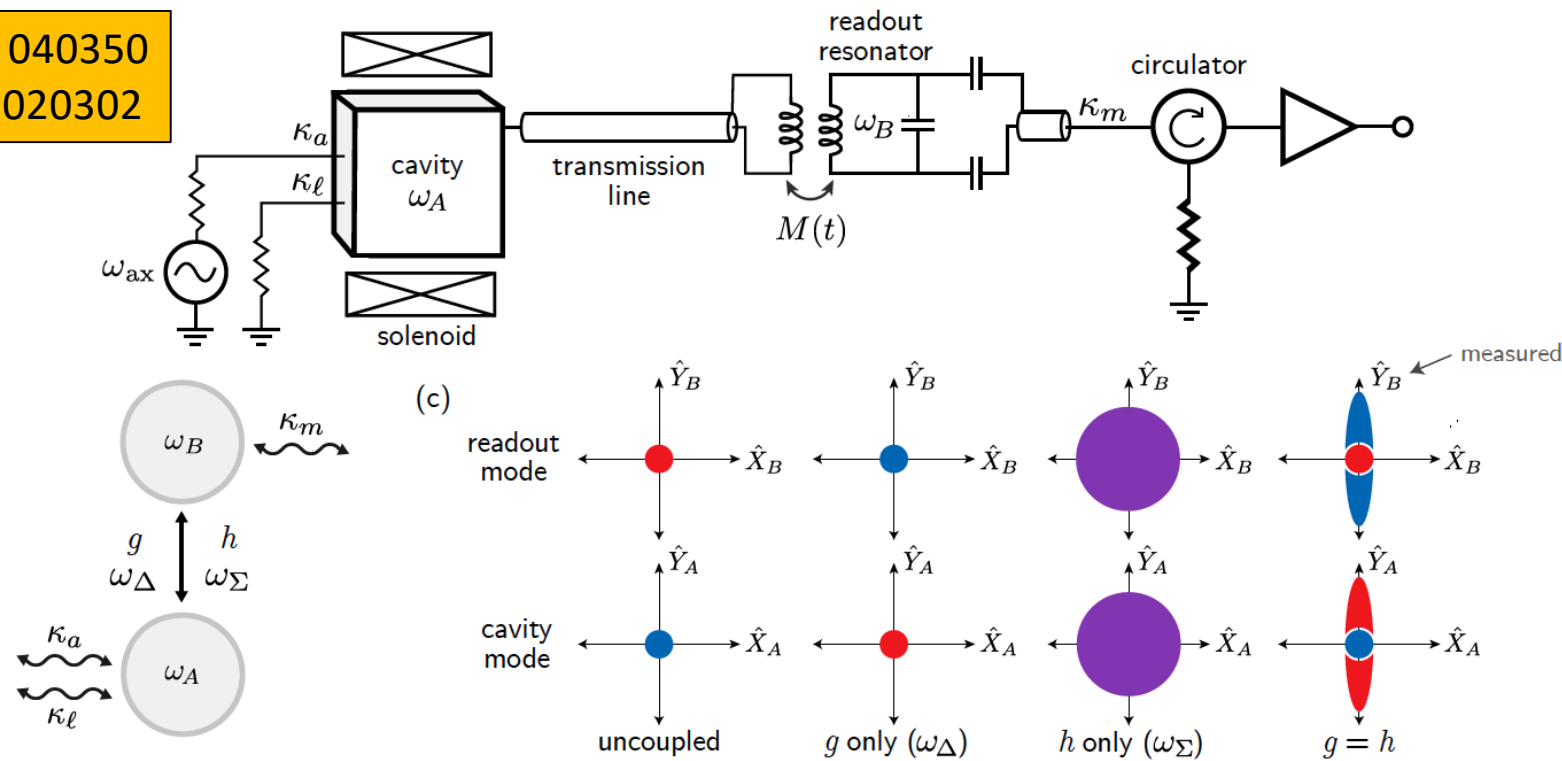




# Phase III: CEASEFIRE – Cavity Entanglement and State Exchange for Improved Readout Efficiency

K. Wurtz *et al.*, PRX Quantum 2 (2021) 040350  
 Y. Jiang *et al.*, PRX Quantum 4 (2023) 020302

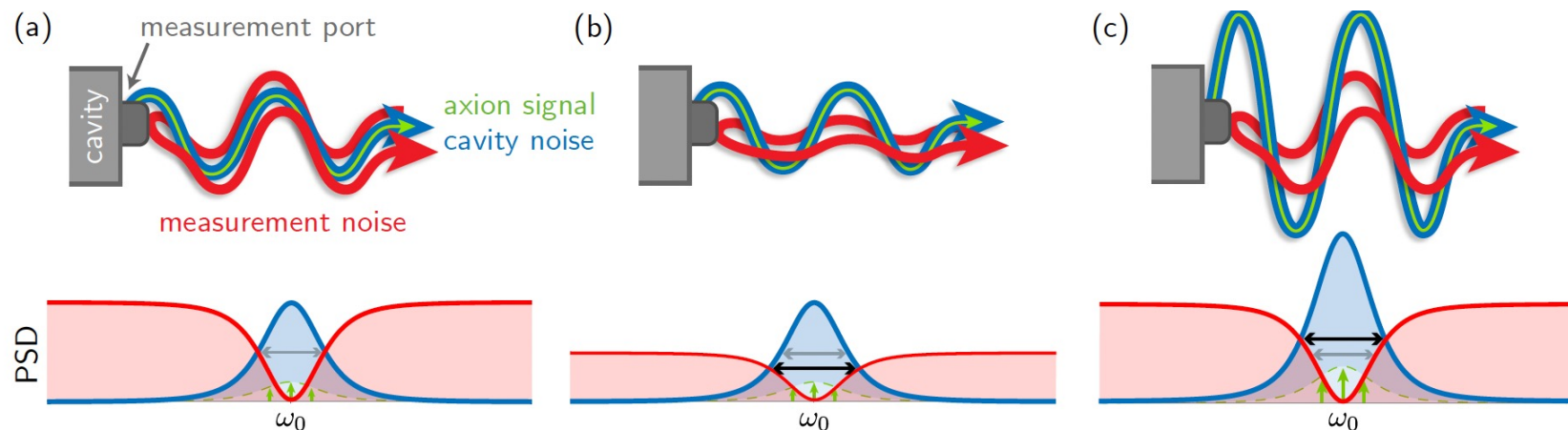
Following the same pattern of  
 prototype-experiment twins  
 To deploy in HAYSTAC 2025  
 Projected  $\times 8$  scan speedup



(a) Linear amplifier

(b) Squeezing

(c) Squeezing with state exchange



## Crossover point between Linear Amplifiers etc. and Single Quantum Detection

There is a frequency range above which photon counting will be more sensitive and the advantage will grow with frequency, roughly 10 GHz. See:

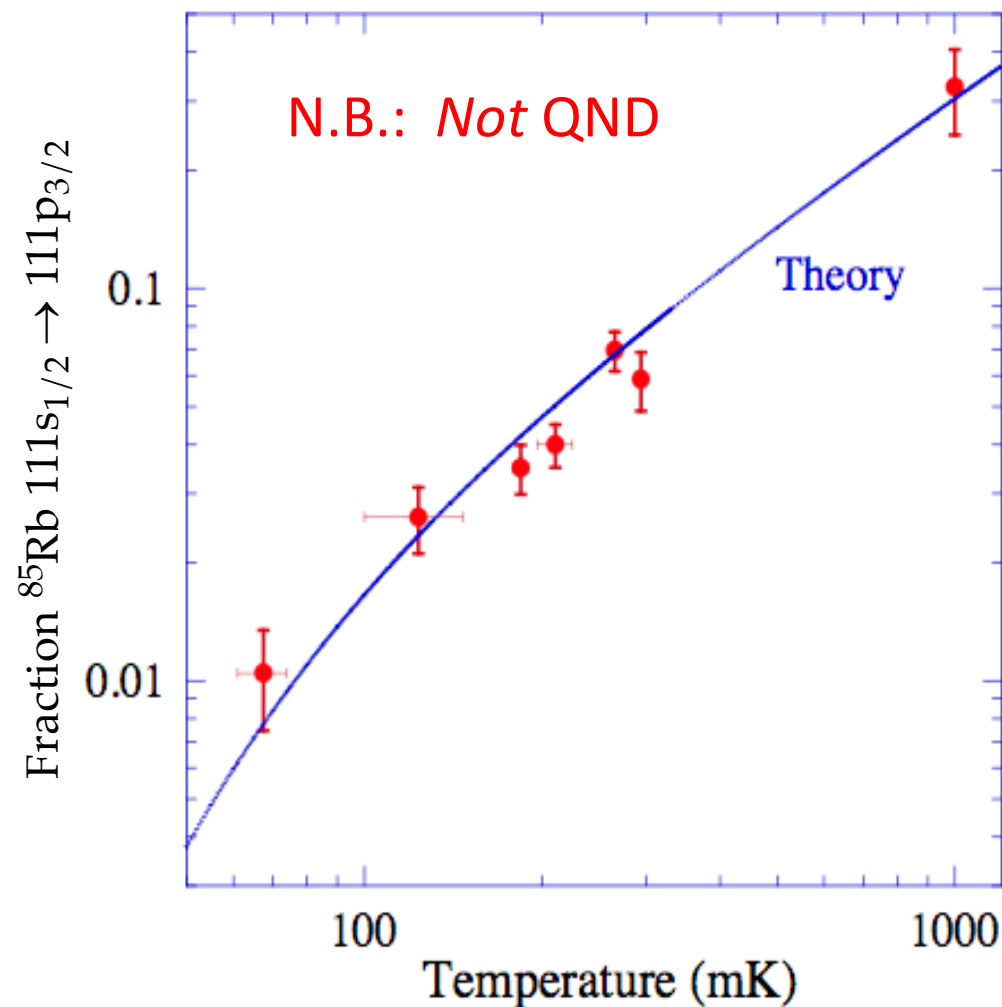
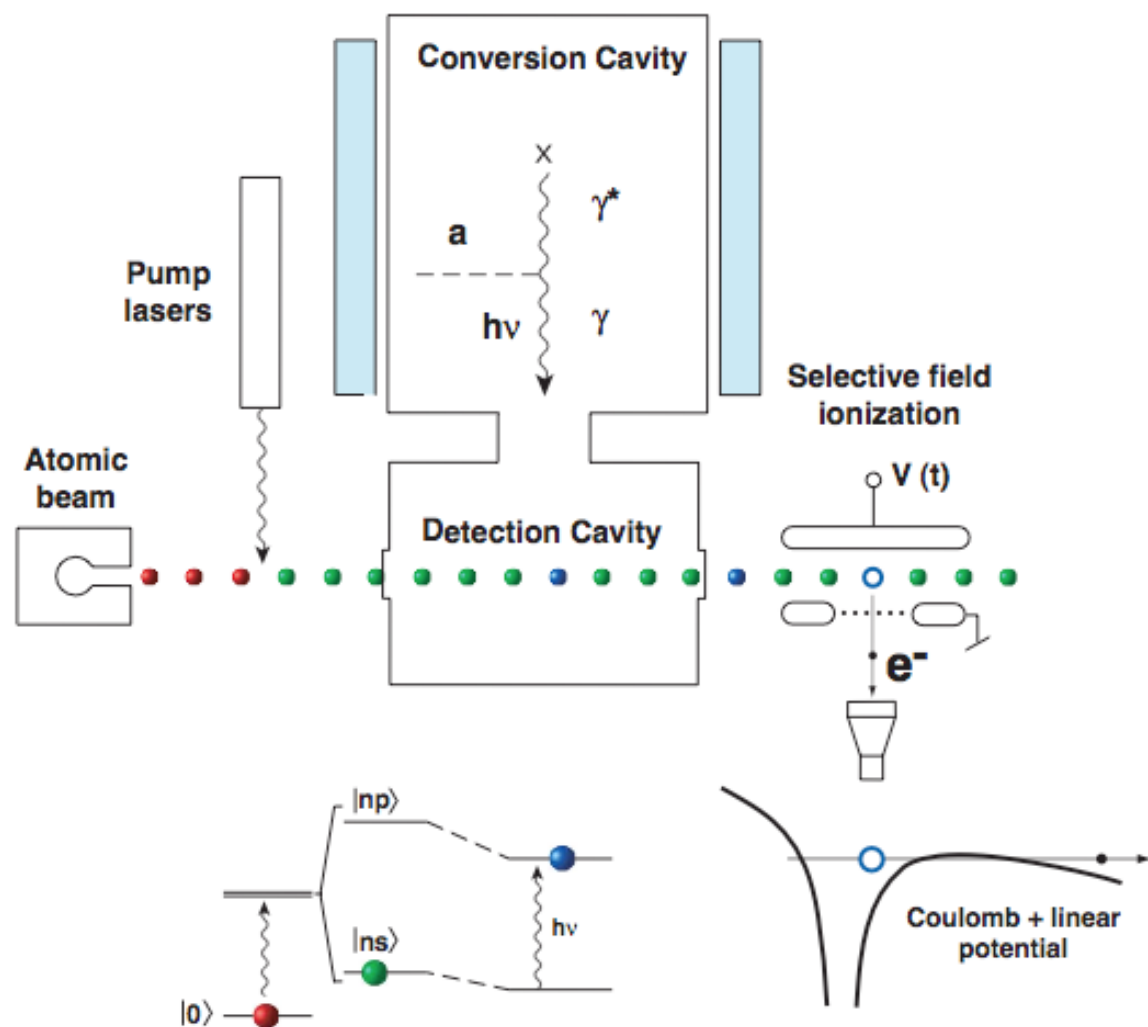
S.K. Lamoreaux *et al.*, Phys. Rev. D 88 (2013) 035020

E. Graham *et al.*, Phys. Rev. D 109 (2024) 032009

Challenges with single-quantum detection will be in implementing it into an axion haloscope, i.e. efficient coupling to the conversion chamber, tunability, and dark counts above expectation.

RAY (Rydberg At Yale) aims to deliver a single-quantum detector for HAYSTAC

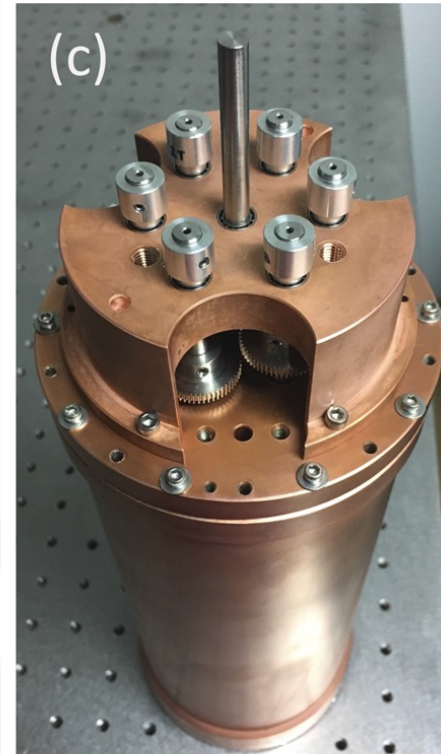
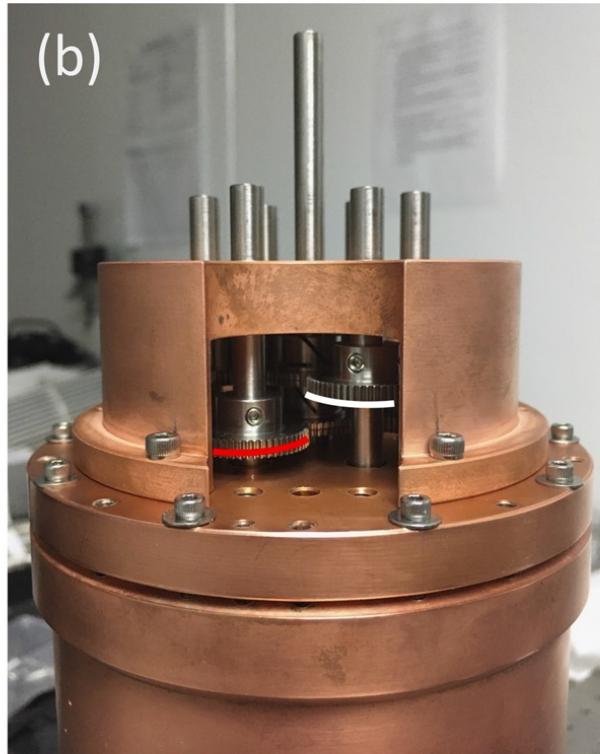
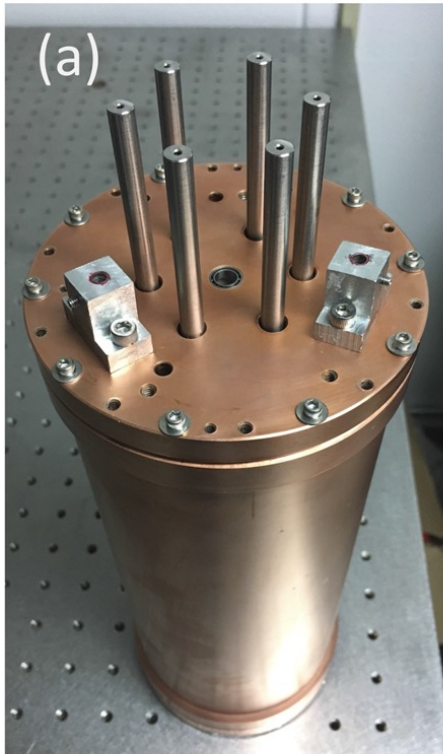
# The CARRACK (Kyoto) Rydberg-atom Single Photon Detector (S. Matsuki *et al.*)



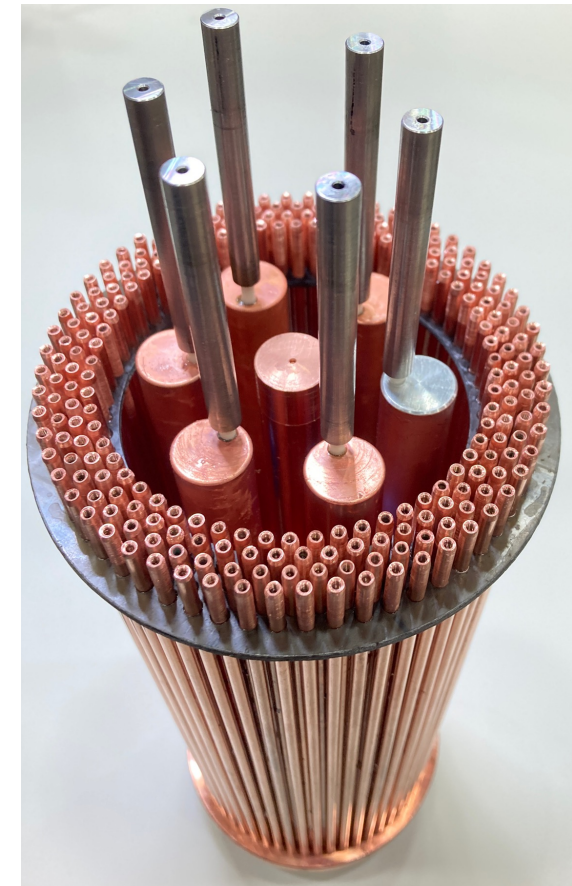
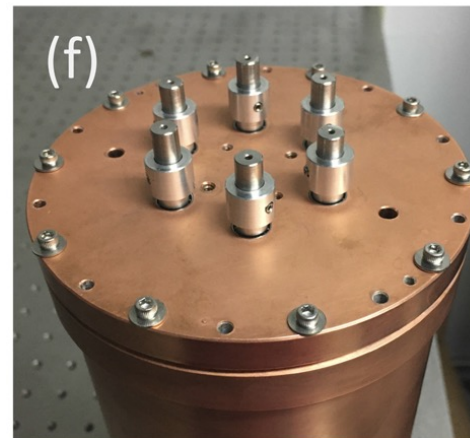
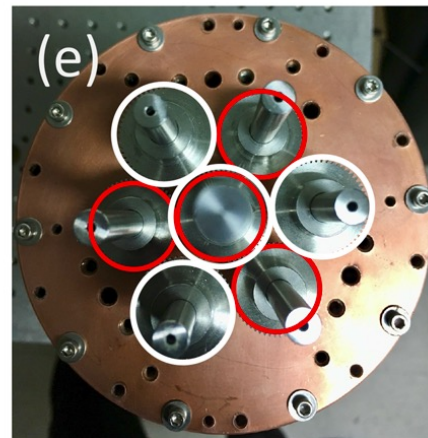
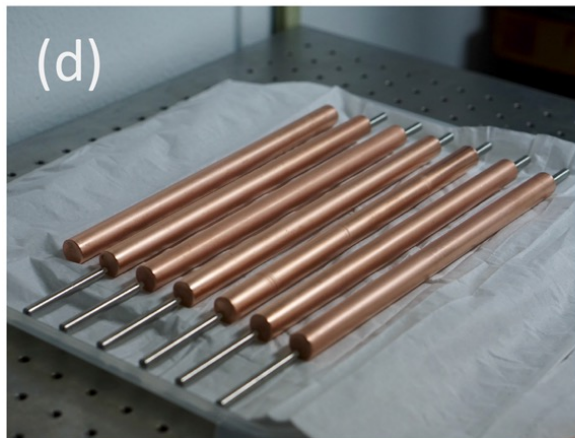
Tada *et al.* *Phys. Lett. A* 349:488 (2006) demonstrated a receiver a factor  $\sim 2$  below SQL at 2.527 GHz ( $\sim 120$  mK). DFSZ exclusion at  $\sim 10$   $\mu\text{eV}$  presented at conference (Matsuki, 1997), but never published in a refereed journal. RAY: See Y. Zhu *et al.*, *Phys. Rev. A* (2021), E. Graham *et al.*, *Phys. Rev. D* 109 (2024) 032009



# HAYSTAC Phase IIIa – Lattice-type cavity *M. Simanovskaia et al., Rev. Sci. Instr. 92, 033305 (2021)*



(left) 7-rod cavity, tuned by varying the scale factor; (below) with Photonic Band Gap structure for TE mode suppression



## Final remarks

- ❑ HAYSTAC has proven to be an effective testbed for new detector and resonator innovations
- ❑ It remains the only spectral dark matter axion experiment that has circumvented the Standard Quantum Limit; a more advanced cavity entanglement and state exchange scheme should produce an order of magnitude speedup in scanning
- ❑ Symmetric lattice & metamaterial designs show promise for higher frequency resonators without loss of volume; Photonic Band Gap structures can eliminate the TE mode forest (*See talk of Heather Jackson*)
- ❑ ALPHA will incorporate these innovations in the search for the post-inflation axion, initially in the 10-20 GHz range (*See talk of Andrea Gallo Rosso*)