

Strongly interacting dark sectors with light vector mesons

Nicoline Hemme

nicoline.hemme@kit.edu

Institute for Theoretical Particle Physics, Karlsruhe Institute of Technology

Based on work done in collaboration with Felix Kahlhoefer (KIT), Suchita Kulkarni (Graz University) and Elias Bernreuther (FermiLab)

15th International Workshop on the Identification of Dark Matter, July 9th 2024 – L'Aquila, Italy

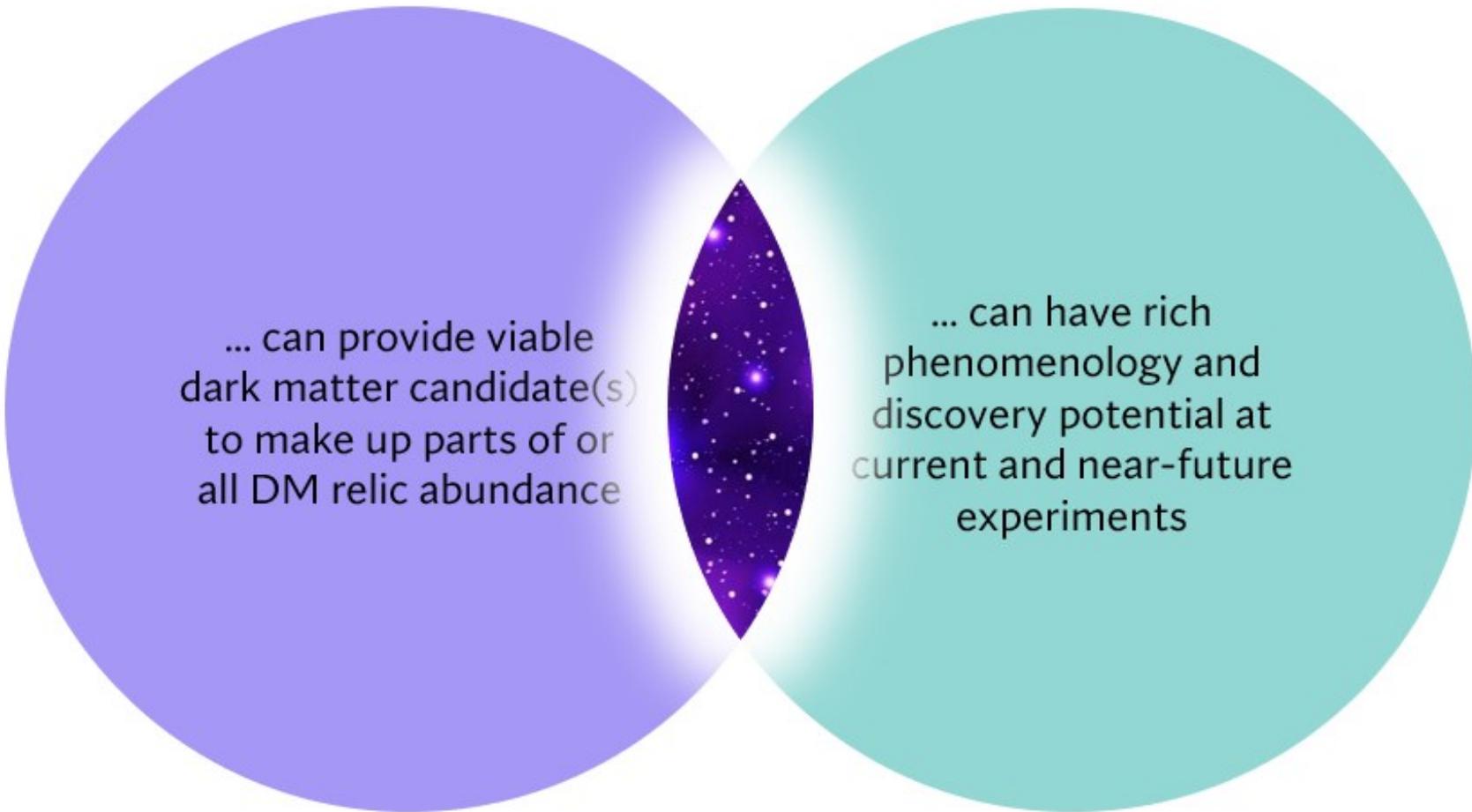
Strongly interacting dark sectors ...

... can provide viable dark matter candidate(s) to make up parts of or all DM relic abundance

... can have rich phenomenology and discovery potential at current and near-future experiments



Strongly interacting dark sectors ...

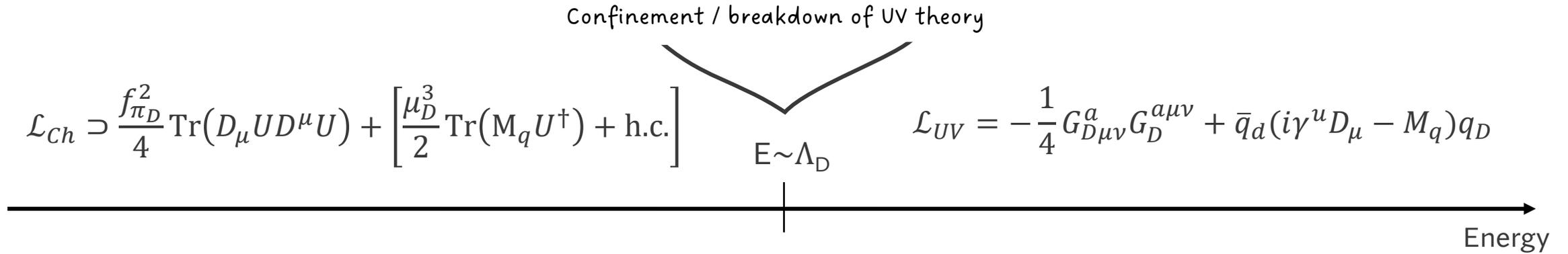


... can provide viable dark matter candidate(s) to make up parts of or all DM relic abundance

... can have rich phenomenology and discovery potential at current and near-future experiments

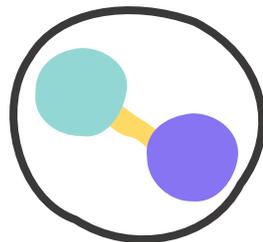


SU(N_{CD}) dark sector theory



Particles of the theory

Bound states made up of dark quarks and gluons



Particles of the theory

Dark quarks (N_{fD} number of flavors)



Dark gluons

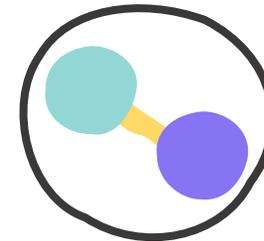


Dark bound states

Consider the lightest bound state – **the dark pion**

- ❖ Pseudo-Goldstone boson of chiral symmetry breaking
- ❖ Can be stable – **dark matter candidate**

π_D
Pseudo-scalar



Dark bound states

Consider the lightest bound state – **the dark pion**

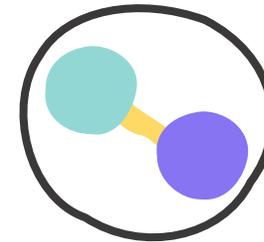
- ❖ Pseudo-Goldstone boson of chiral symmetry breaking
- ❖ Can be stable – **dark matter candidate**

Dark pions can freeze out via $3\pi_D \rightarrow 2\pi_D$ interactions – **the SIMP miracle**

See Y. Hochberg, E. Kuflik, T. Volansky, and J. G. Wacker, Phys. Rev. Lett. 113, 171301, [[1402.5143](#)]

- ❖ Interactions induced by Wess-Zumino-Witten (WZW) anomaly term
- ❖ Relic abundance ($\Omega_D h^2 \lesssim 0.12$) achievable for sub-GeV dark pions
- ❖ Coupling to SM can yield detectable signals

π_D
Pseudo-scalar



Dark bound states

Consider the lightest bound state – **the dark pion**

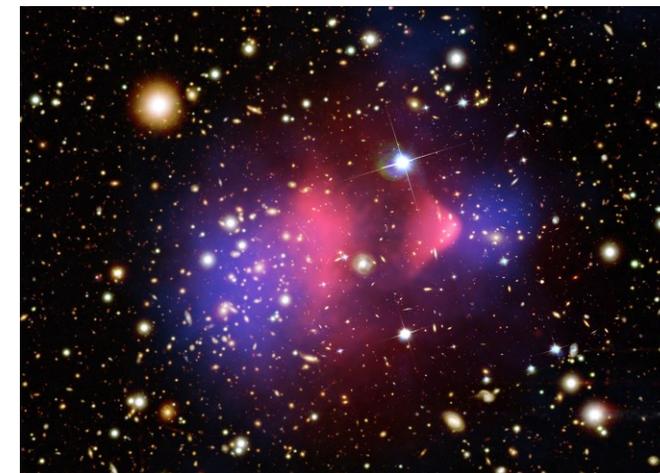
- ❖ Pseudo-Goldstone boson of chiral symmetry breaking
- ❖ Can be stable – **dark matter candidate**

Dark pions can freeze out via $3\pi_D \rightarrow 2\pi_D$ interactions – **the SIMP miracle**

See Y. Hochberg, E. Kuflik, T. Volansky, and J. G. Wacker, Phys. Rev. Lett. 113, 171301, [[1402.5143](https://arxiv.org/abs/1402.5143)]

- ❖ Interactions induced by Wess-Zumino-Witten (WZW) anomaly term
- ❖ Relic abundance ($\Omega_D h^2 \lesssim 0.12$) achievable for sub-GeV dark pions
- ❖ Coupling to SM can yield detectable signals

! To satisfy relic abundance the dark pion
○ must have large self-interactions that
 violate constraints from the Bullet Cluster!



https://www.esa.int/ESA_Multimedia/Images/2007/07/The_Bullet_Cluster2

Self-interaction cross section:

$$\sigma_{SI} \propto \frac{\xi^4}{m_{\pi}^2} \leq \text{BC limit}$$

to satisfy BC use higher mass

General SIMP cross section:

$$\langle \sigma v^2 \rangle_{3 \rightarrow 2} = \frac{\alpha_{\text{eff}}}{m_{\pi_D}^5}$$

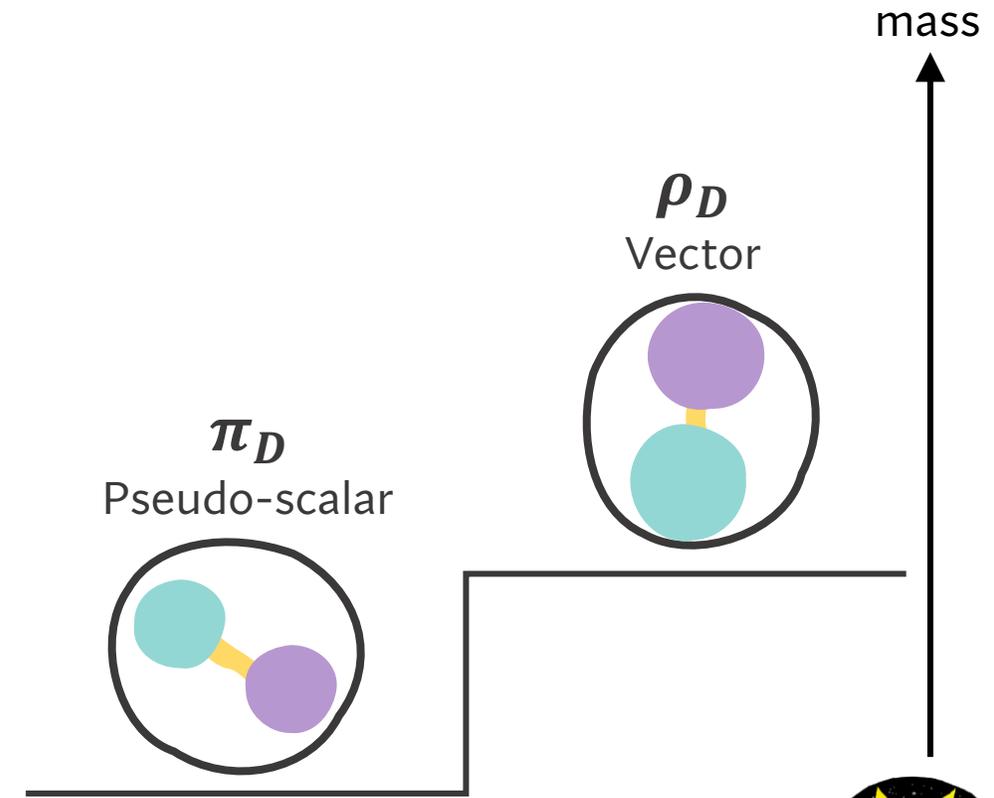
higher mass \rightarrow less efficient FO
 \rightarrow too large relic abundance



Dark bound states

Consider now also the second-lightest bound state – **the dark rho meson**

- ❖ Usually unstable, decays to DS or SM



Dark bound states

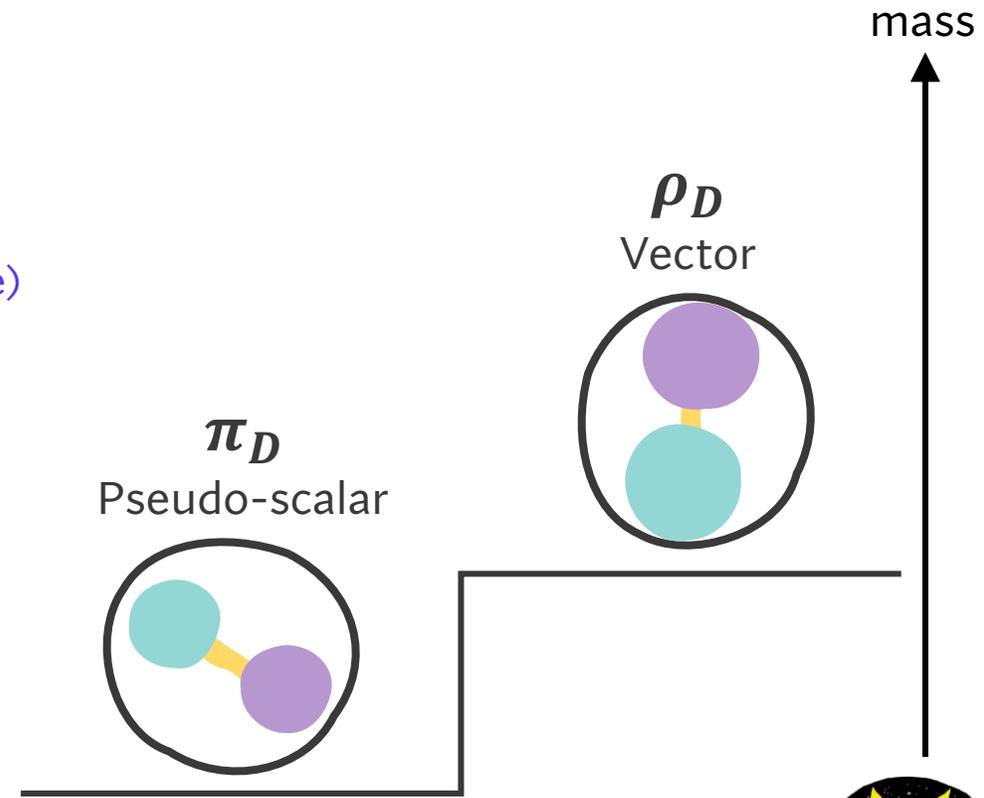
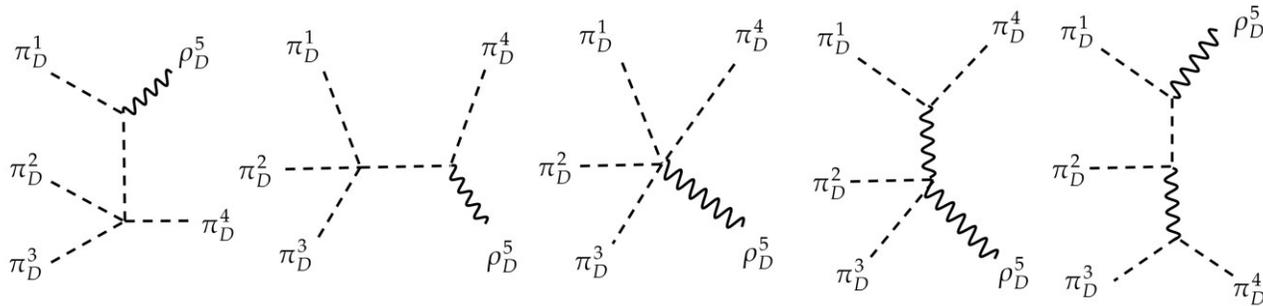
Consider now also the second-lightest bound state – **the dark rho meson**

- ❖ Usually unstable, decays to DS or SM

If $m_{\rho_D} < 2m_{\pi_D}$ the channel $3\pi_D \rightarrow \pi_D \rho_D$ opens up

See E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [2311.17157]

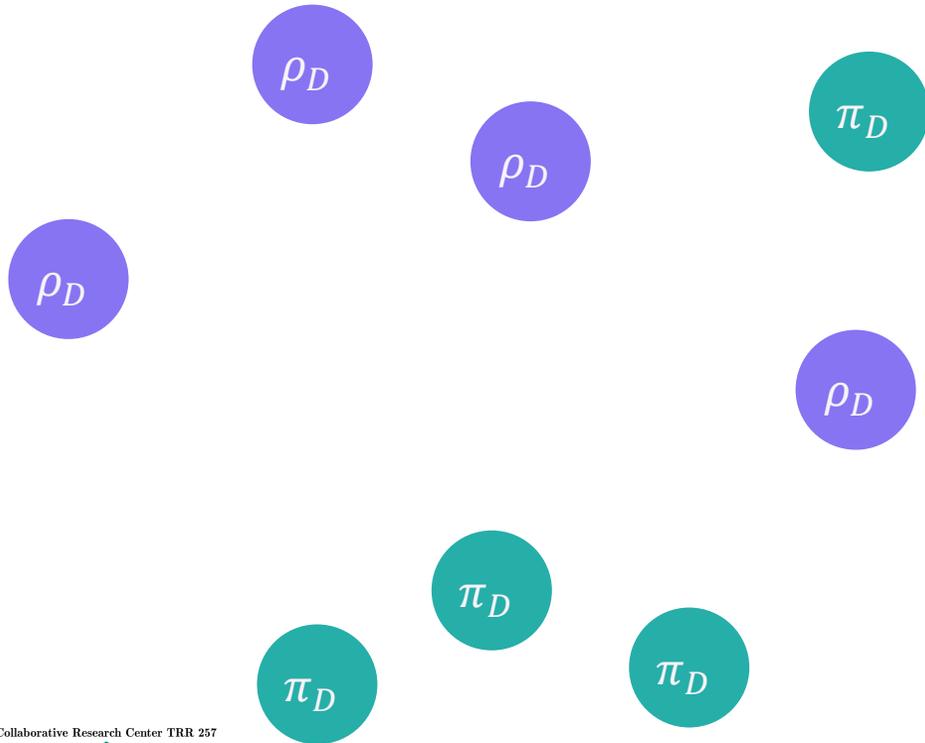
- ❖ Favorable velocity dependence (s-wave), over the $3\pi_D \rightarrow 2\pi_D$ (d-wave)
- ❖ ρ_D is forced to decay to SM



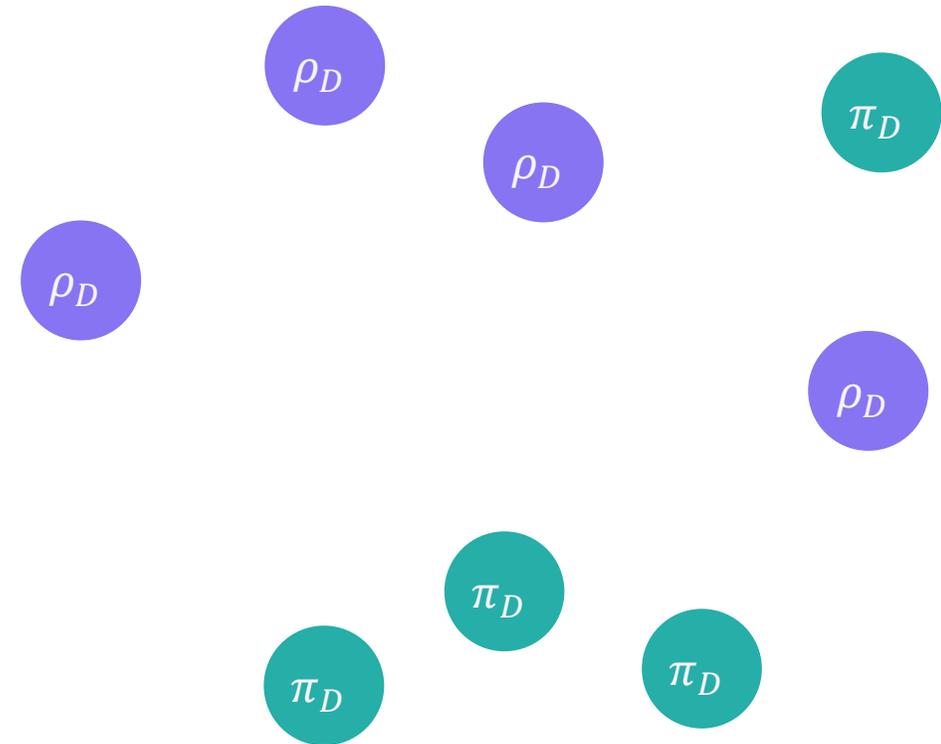
Relic abundance

Early (hot) Universe
High energy is enough to produce many new particles

Universe with **heavy** ρ_D



Universe with **light** ρ_D



Collaborative Research Center TRR 257

PPH

Particle Physics Phenomenology after the Higgs Discovery

KIT

Karlsruher Institut für Technologie



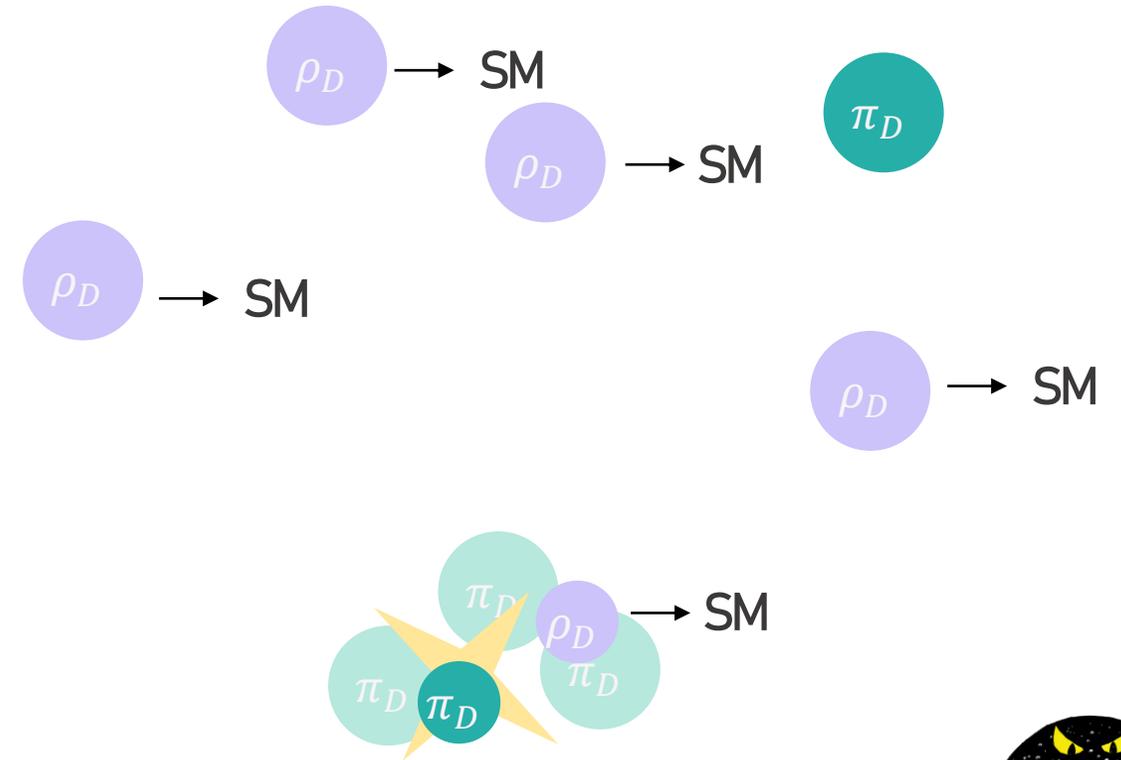
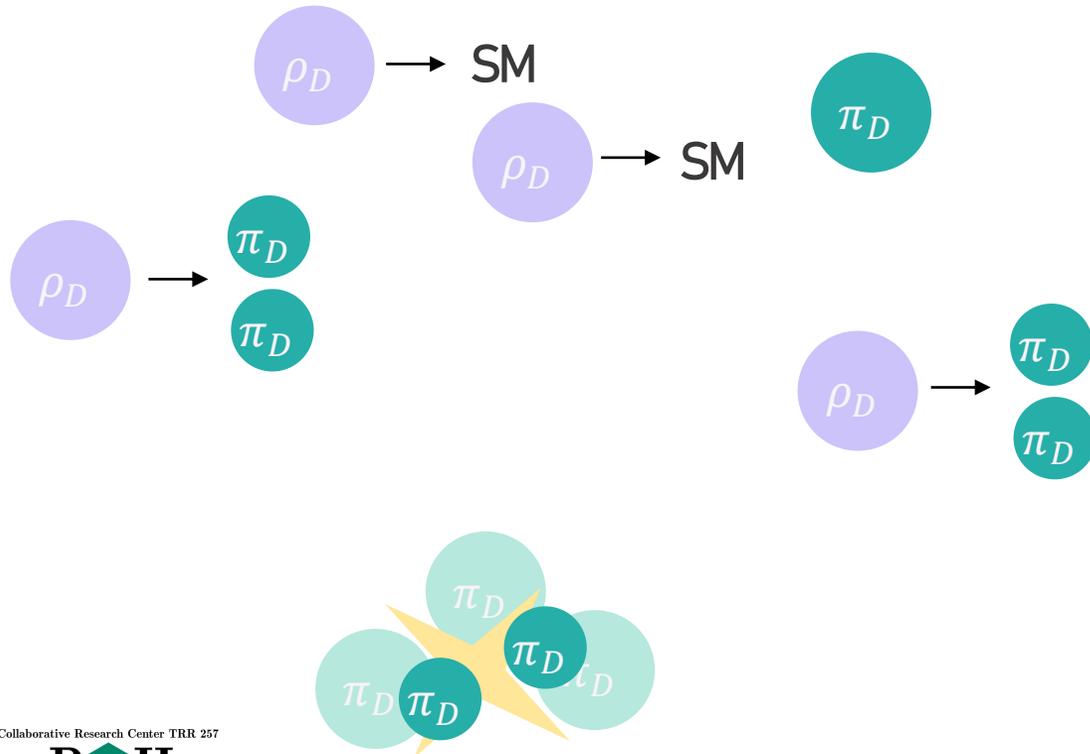
Relic abundance

Freeze-out point

Energy falls below threshold to produce more of these particles while some decay or annihilate

Universe with **heavy** ρ_D

Universe with **light** ρ_D

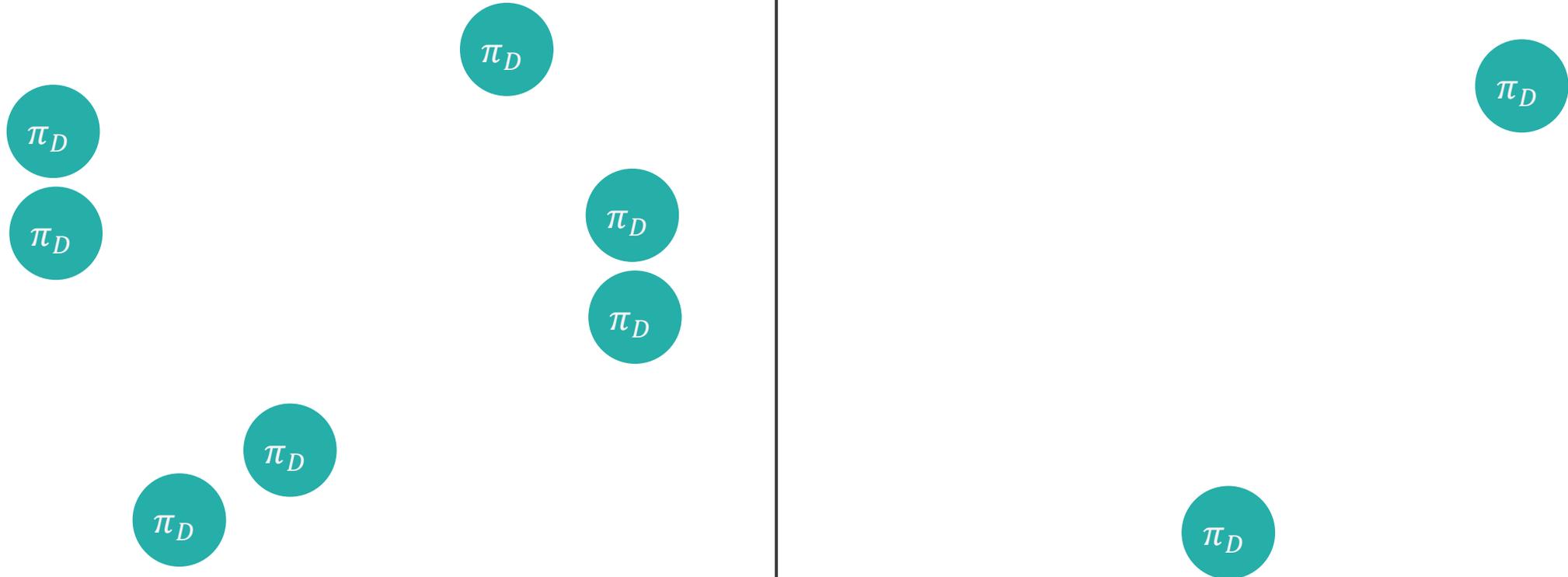


Relic abundance

Relic abundance reached

Universe with **heavy** ρ_D

Universe with **light** ρ_D



Relic abundance

To calculate the relic abundance we must first discuss the parameters

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]

We need to specify $\mathbf{N}_{\mathbf{c}_D}$ and $\mathbf{N}_{\mathbf{f}_D}$

- ❖ These parameters are discrete
- ❖ Our range of interest is limited to $\mathbf{N}_{\mathbf{c}_D}, \mathbf{N}_{\mathbf{f}_D} \in [2,3,4]$
(due to simulation tool (PYTHIA) and \sim SM QCD)

→ Not a problem!



Relic abundance

To calculate the relic abundance we must first discuss the parameters

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]

We need to specify \mathbf{N}_{c_D} and \mathbf{N}_{f_D}

- ❖ These parameters are discrete
- ❖ Our range of interest is limited to $\mathbf{N}_{c_D}, \mathbf{N}_{f_D} \in [2,3,4]$
(due to simulation tool (PYTHIA) and \sim SM QCD)

→ Not a problem!

Then, a QCD-like strongly interacting dark sector will have 2 free parameters:

- A mass scale, m_{q_D} (UV) or m_{π_D} (mass-degenerate quarks)
- A mass ratio, $\frac{m_{q_D}}{\Lambda_D}$ (UV) or $\frac{m_{\pi_D}}{f_{\pi_D}}$



Relic abundance

To calculate the relic abundance we must first discuss the parameters

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]

We need to specify \mathbf{N}_{c_D} and \mathbf{N}_{f_D}

- ❖ These parameters are discrete
- ❖ Our range of interest is limited to $\mathbf{N}_{c_D}, \mathbf{N}_{f_D} \in [2,3,4]$
(due to simulation tool (PYTHIA) and \sim SM QCD)

→ Not a problem!

Then, a QCD-like strongly interacting dark sector will have 2 free parameters:

- A mass scale, m_{q_D} (UV) or m_{π_D} (mass-degenerate quarks)
- A mass ratio, $\frac{m_{q_D}}{\Lambda_D}$ (UV) or $\frac{m_{\pi_D}}{f_{\pi_D}}$

We can determine the meson mass spectrum (i.e. m_{ρ_D}) via **lattice simulations** (non-perturbative) and obtain the relation:

Using results from *P. Maris and P. C. Tandy*,
Nucl. Phys. B Proc. Suppl. 161 (2006), 136–152

$$\xi \equiv \frac{m_{\pi_D}}{f_{\pi_D}} = 7.79 \frac{m_{\pi_D}}{m_{\rho_D}} + 0.57 \left(\frac{m_{\pi_D}}{m_{\rho_D}} \right)^2$$

! We explore the range $1.45 < \frac{m_{\rho_D}}{m_{\pi_D}} < 2$, corresponding to $4 \lesssim \xi \lesssim 5.7$
(safe from perturbativity limit at $\xi \sim 4\pi$)



Relic abundance

We must then solve the Boltzmann equation

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]

$$\dot{n}_{\pi_D} + 3Hn_{\pi_D} = \langle \sigma v^2 \rangle_{3\pi_D \rightarrow \pi_D \rho_D} n_{\pi_D} \left((n_{\pi_D}^{eq})^2 - n_{\pi_D}^2 \right)$$

$$\langle \sigma v^2 \rangle_{3\pi_D \rightarrow \pi_D \rho_D} = \frac{|M|_{3\pi_D \rightarrow \pi_D \rho_D}^2}{144\pi S_\alpha S_\beta m_{\pi_D}^3} \sqrt{4 - 5y + y^2} \quad \left(\text{with } y = \frac{m_{\rho_D}^2}{4m_{\pi_D}^2} \right)$$

$$|M|_{3\pi_D \rightarrow \pi_D \rho_D}^2 = \frac{8m_{\pi_D}^4 (1-y)(4-y) \left(\frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 4y^2 \right) (5N_{f_D}^4 \frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} (13y+2)^2 + 32(2Ay^2 + 2By + C))}{3f_{\pi_D}^6 \left(\frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 64 \right) (2y+1)^2 (9 \frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 64(1-y)^2)}$$

$$A = \frac{(821N_{f_D}^4 - 168N_{f_D}^2 + 36)}{N_{f_D}(N_{f_D}^2 - 1)^2}, \quad B = \frac{(245N_{f_D}^4 - 114N_{f_D}^2 + 36)}{N_{f_D}(N_{f_D}^2 - 1)^2}, \quad C = \frac{(37N_{f_D}^4 - 30N_{f_D}^2 + 18)}{N_{f_D}(N_{f_D}^2 - 1)^2}$$



Relic abundance

We must then solve the Boltzmann equation

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]

$$\dot{n}_{\pi_D} + 3Hn_{\pi_D} = \langle \sigma v^2 \rangle_{3\pi_D \rightarrow \pi_D \rho_D} n_{\pi_D} \left((n_{\pi_D}^{eq})^2 - n_{\pi_D}^2 \right)$$

$$\langle \sigma v^2 \rangle_{3\pi_D \rightarrow \pi_D \rho_D} = \frac{|M|_{3\pi_D \rightarrow \pi_D \rho_D}^2}{144\pi S_\alpha S_\beta m_{\pi_D}^3} \sqrt{4 - 5y + y^2} \quad \left(\text{with } y = \frac{m_{\rho_D}^2}{4m_{\pi_D}^2} \right)$$

R > 1 for relevant space
R ↑ as y → 1 (m_{ρ_D} → 2m_{π_D})
R ↑ as x ↑ (universe cools)

Classic SIMP-scenario:

$$\langle \sigma v^2 \rangle_{3\pi_D \rightarrow 2\pi_D} = \frac{5\sqrt{5}N_{CD}^2 \xi^{10}}{4608\pi^5 m_{\pi_D}^5 x^2 N_{f_D}}$$

Ratio:

$$R \equiv \frac{\langle \sigma v^2 \rangle_{3\pi_D \rightarrow \pi_D \rho_D}}{\langle \sigma v^2 \rangle_{3\pi_D \rightarrow 2\pi_D}} = \frac{\alpha_{3\pi_D \rightarrow \pi_D \rho_D}^{\text{eff}}}{\alpha_{3\pi_D \rightarrow 2\pi_D}^{\text{eff}}} \approx (1800 - 8500) \times \frac{1}{N_{f_D}^2 \xi^4 \sqrt{1-y}}$$

$$|M|_{3\pi_D \rightarrow \pi_D \rho_D}^2 = \frac{8m_{\pi_D}^4 (1-y)(4-y) \left(\frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 4y^2 \right) (5N_{f_D}^4 \frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} (13y+2)^2 + 32(2Ay^2 + 2By + C))}{3f_{\pi_D}^6 \left(\frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 64 \right) (2y+1)^2 (9 \frac{\Gamma_{\text{th}}^2}{m_{\pi_D}^2} + 64(1-y)^2)}$$

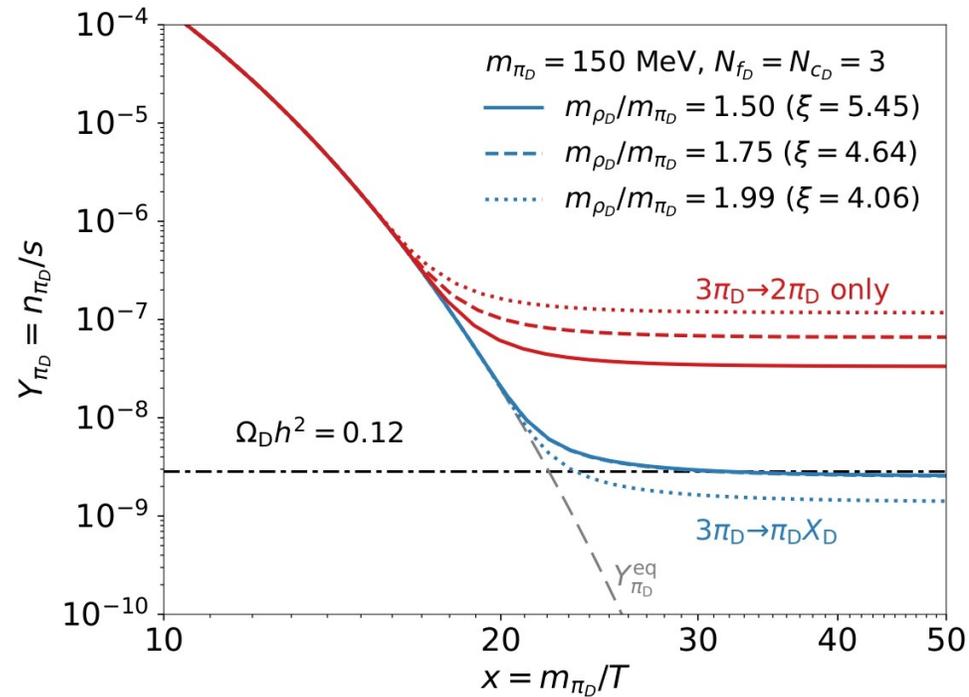
$$A = \frac{(821N_{f_D}^4 - 168N_{f_D}^2 + 36)}{N_{f_D}(N_{f_D}^2 - 1)^2}, \quad B = \frac{(245N_{f_D}^4 - 114N_{f_D}^2 + 36)}{N_{f_D}(N_{f_D}^2 - 1)^2}, \quad C = \frac{(37N_{f_D}^4 - 30N_{f_D}^2 + 18)}{N_{f_D}(N_{f_D}^2 - 1)^2}$$



Relic abundance

Results – Freeze-out of π_D

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](https://arxiv.org/abs/2311.17157)]



Collaborative Research Center TRR 257



Particle Physics Phenomenology after the Higgs Discovery



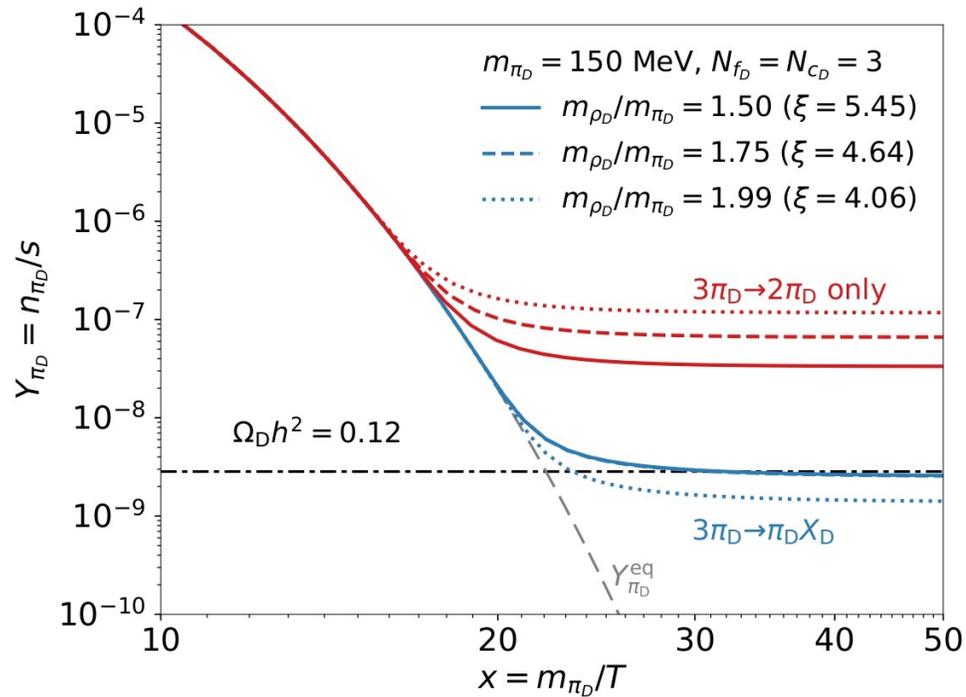
Karlsruher Institut für Technologie



Relic abundance

Results – Freeze-out of π_D

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]



❖ For $m_{\pi_D} \sim 150$ MeV:

$3\pi_D \rightarrow \pi_D \rho_D$: DM overproduced (need lower mass)

$3\pi_D \rightarrow \pi_D \rho_D$: DM produced at correct relic abundance

❖ We can go to higher masses without overproducing DM

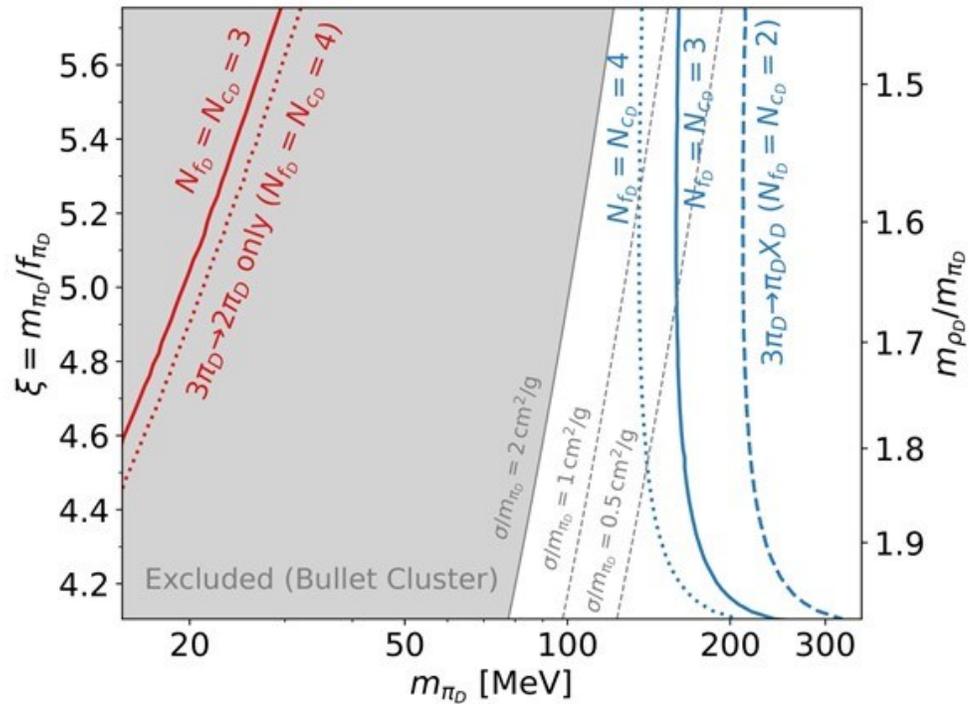
→ Does this solve tension with BC constraints?



Relic abundance

Results – Comparison to BC constraints

E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](https://arxiv.org/abs/2311.17157)]



Collaborative Research Center TRR 257



Particle Physics Phenomenology after the Higgs Discovery



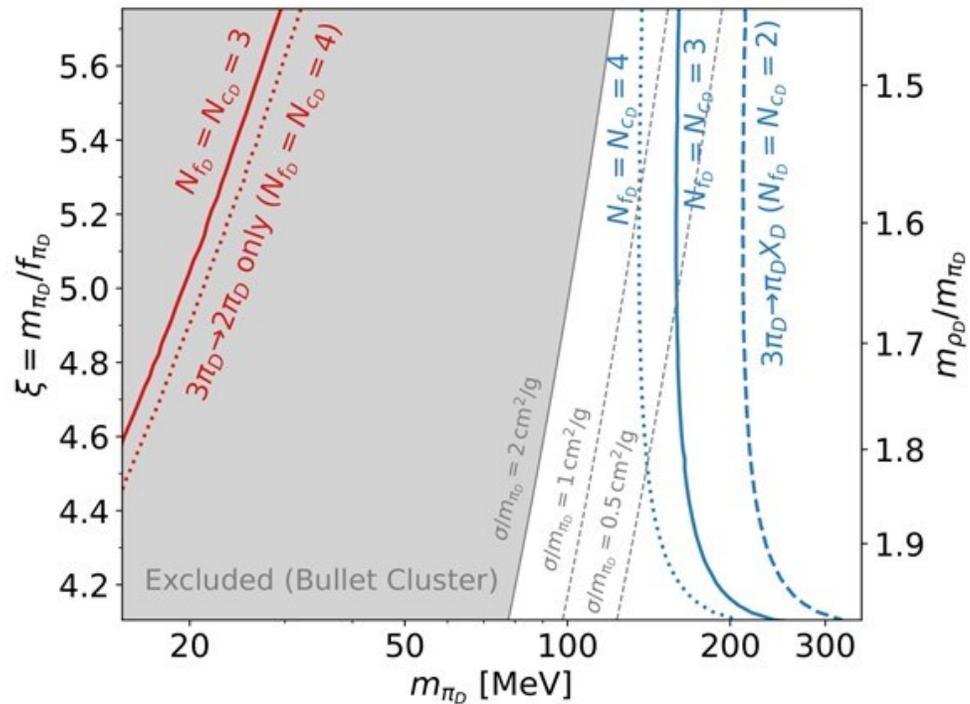
Karlsruher Institut für Technologie



Relic abundance

Results – Comparison to BC constraints

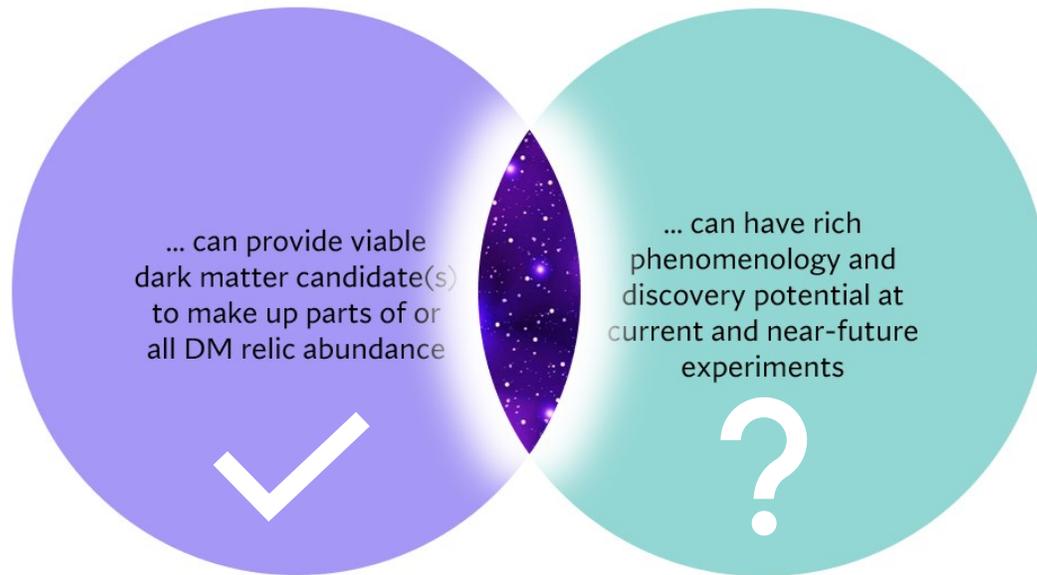
E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [[2311.17157](#)]



- ❖ Light vector mesons enhance the dark pion depletion, helping us to avoid SI constraints from BC
→ Yes, we found one way to solve this tension and so far the parameter space of this model is wide open
- ❖ Enhancement of cross section as $m_{\rho_D} \rightarrow 2m_{\pi_D}$ (as expected)
- ❖ Note no $N_{f_D}=2$ model for classic SIMP (WZW 5-pt interaction only exists for $N_{f_D}>2$)



Phenomenology (dark showers)



Generally, the ρ_D will mix with the SM photon, and/or we can add a portal* between the SM and DS

*Popular choice: **Z' boson**

- ❖ The gauge boson of a U(1)' symmetry (dark photon)
- ❖ Will assign "dark charges" and give π_D^\pm (stabilization)
- ❖ Potential of Z' detection by bump-hunt

Collaborative Research Center TRR 257

PH

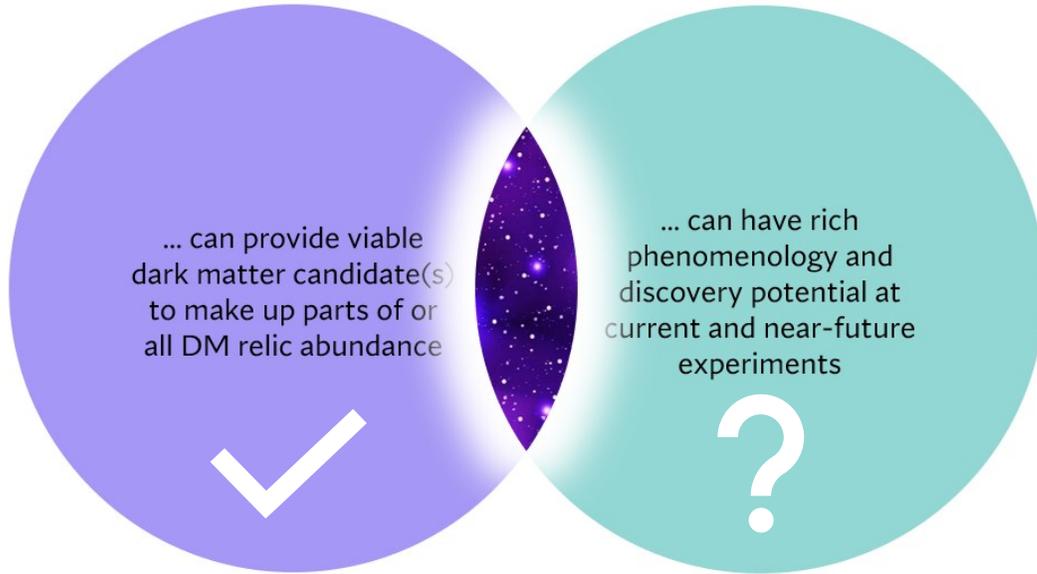
Particle Physics Phenomenology after the Higgs Discovery

KIT

Karlsruher Institut für Technologie



Phenomenology (dark showers)



Generally, the ρ_D will mix with the SM photon, and/or we can add a portal* between the SM and DS

*Popular choice: **Z' boson**

- ❖ The gauge boson of a U(1)' symmetry (dark photon)
- ❖ Will assign "dark charges" and give π_D^\pm (stabilization)
- ❖ Potential of Z' detection by bump-hunt

Dark showers and signatures

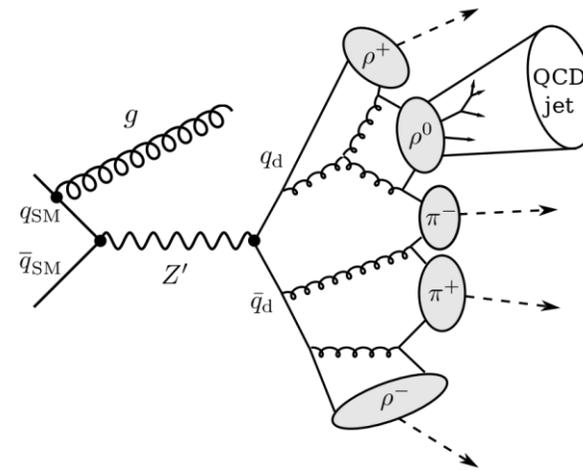
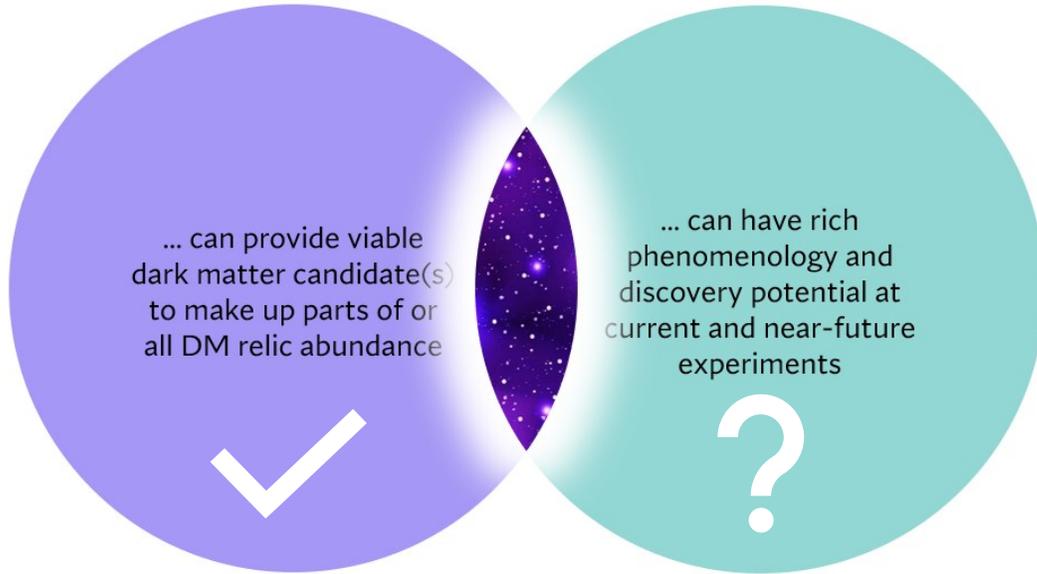


Figure: E. Bernreuther, F. Kahlhoefer, M. Krämer, P. Tunney [[1907.04345](#)]



Phenomenology (dark showers)



Generally, the ρ_D will mix with the SM photon, and/or we can add a portal* between the SM and DS

*Popular choice: **Z' boson**

- ❖ The gauge boson of a U(1)' symmetry (dark photon)
- ❖ Will assign "dark charges" and give π_D^\pm (stabilization)
- ❖ Potential of Z' detection by bump-hunt

Dark showers and signatures

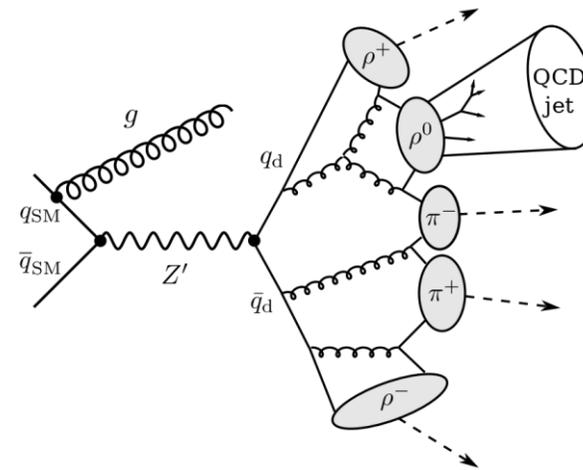


Figure: E. Bernreuther, F. Kahlhoefer, M. Krämer, P. Tunney [[1907.04345](#)]

- ❖ Long-lived ρ_D can yield **displaced vertices** (BaBar, Belle II, SHiP, FASER, NA64)
- ❖ Prompt decays can still yield distinct signatures if there is a mix of stable (invisible) and unstable SM-decaying (visible) particles: **semi-visible jets** (LHCb, CMS, ATLAS)



Conclusion

I introduced a strongly interacting dark sector with $m_{\rho_D} < 2m_{\pi_D}$

- ❖ The $3\pi_D \rightarrow \pi_D \rho_D$ process dominates freeze-out and enhances DM depletion
- ❖ The π_D is the DM candidate and can explain DM with $m_{\pi_D} \sim 150\text{-}250$ MeV
- ❖ The ρ_D will decay to SM particles and may leave distinct signatures in collider experiments

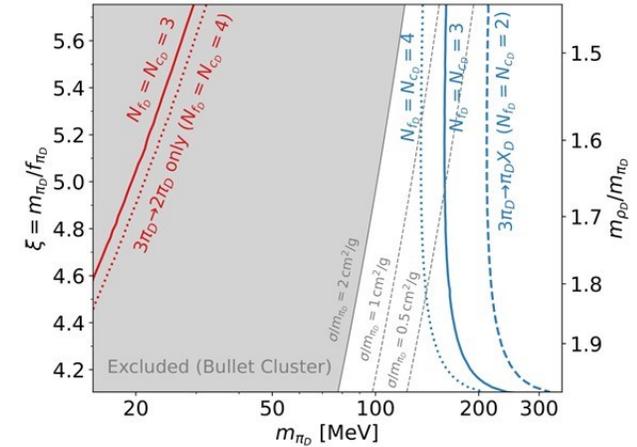


Figure: E. Bernreuther, NH, F. Kahlhoefer, S. Kulkarni [2311.17157]

Some very interesting questions left for future work (hopefully):

- ❖ What are the sensitivities of existing and upcoming collider experiments to the ρ_D decay?
- ❖ Can we detect and/or distinguish such a dark sector in other ways?
(Like in indirect detection experiments or effects on astrophysical objects such as dark matter haloes?)

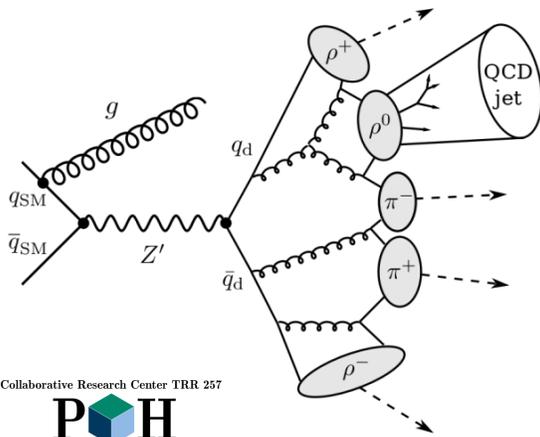


Figure: E. Bernreuther, F. Kahlhoefer, M. Krämer, P. Tunney [1907.04345]



Backup slide

Displaced vertices

Signature will highly depend on multiplicity of ρ_D

Significantly affected by:

- m_{ρ_D} ($m_{Z'}$, τ_{ρ_D})
- Probability to create ρ_D over π_D in the shower

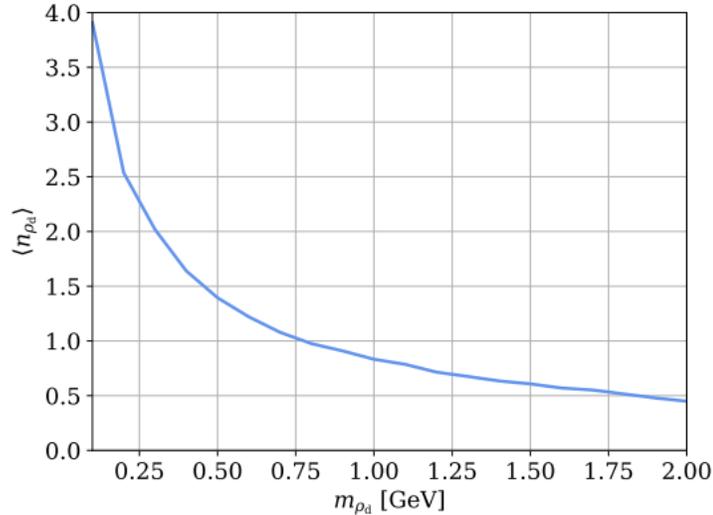


Figure: E. Bernreuther, T. Ferber, F. Kahlhoefer, A. Morandini et al. (2022)

Projected sensitives at Belle II

Projected sensitives explored in E. Bernreuther, T. Ferber, F. Kahlhoefer, A. Morandini et al. (2022)

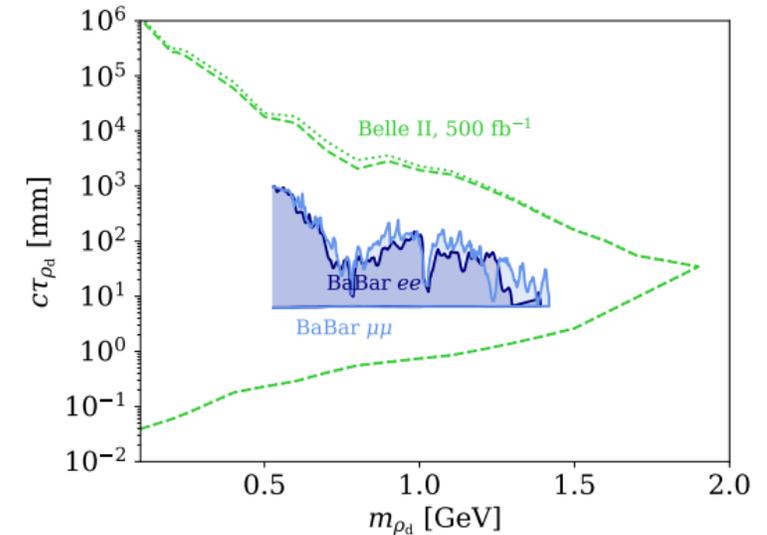


Figure: E. Bernreuther, T. Ferber, F. Kahlhoefer, A. Morandini et al. (2022)



Backup slide

Thermal width

$$\Gamma_{\text{th}} = \frac{8\pi(N_{f_D}^2 - 1)}{x^2} e^{-x} m_{\pi_D}^3 \sigma_c$$

With the 2-pion scattering cross section

$$\begin{aligned} \sigma_c &\approx \frac{1}{64\pi} \frac{3N_{f_D}^4 - 2N_{f_D}^2 + 6}{N_{f_D}^2 (N_{f_D}^2 - 1)} \frac{m_\pi^2}{f_\pi^4} \\ &= \frac{3}{64\pi} \frac{m_\pi^2}{f_\pi^4} (1 + \mathcal{O}(N_{f_D}^{-2})) \end{aligned}$$

Thermal width is exponentially suppressed at low temperatures due to low number density of pions.

Thermal width contributes <1% in region of interest.

See details in [\[2311.17157\]](#)



Backup slide

Bullet Cluster constraints

THE MISMEASURE OF MERGERS: REVISED LIMITS ON SELF-INTERACTING DARK MATTER IN MERGING GALAXY CLUSTERS

DAVID WITTMAN^{1,2}, NATHAN GOLOVICH¹, WILLIAM A. DAWSON³

Draft version December 13, 2018

ABSTRACT

In an influential recent paper, Harvey et al. (2015) derive an upper limit to the self-interaction cross section of dark matter ($\sigma_{\text{DM}}/m < 0.47 \text{ cm}^2/\text{g}$ at 95% confidence) by averaging the dark matter-galaxy offsets in a sample of merging galaxy clusters. Using much more comprehensive data on the same clusters, we identify several substantial errors in their offset measurements. Correcting these errors relaxes the upper limit on σ_{DM}/m to $\lesssim 2 \text{ cm}^2/\text{g}$, following the Harvey et al. (2015) prescription for relating offsets to cross sections in a simple solid body scattering model. Furthermore, many clusters in the sample violate the assumptions behind this prescription, so even this revised upper limit should be used with caution. Although this particular sample does not tightly constrain self-interacting dark matter models when analyzed this way, we discuss how merger ensembles may be used more effectively in the future. We conclude that errors inherent in using single-band imaging to identify mass and light peaks do not necessarily average out in a sample of this size, particularly when a handful of substructures constitute a majority of the weight in the ensemble.

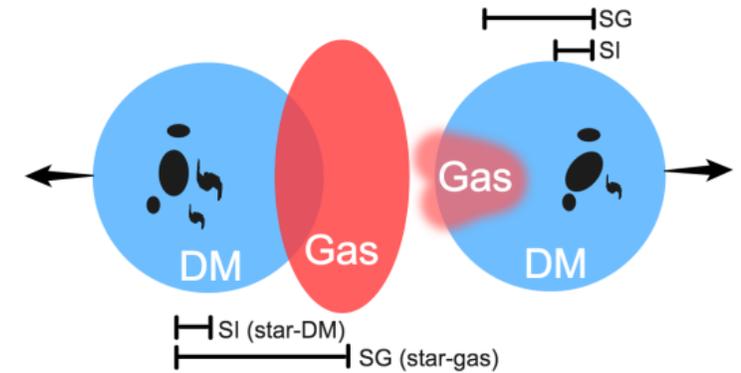


FIG. 1.— Schematic merger scenario: two subclusters have passed through each other, and the gas associated with each has slowed due to momentum exchange. This is observable as an offset between the star (i.e., galaxy) and gas positions, δ_{SG} . In analogy, any star-DM offset δ_{SI} may be attributed to momentum exchange between the DM halos and thus related to a cross section σ_{DM}/m . Subcluster masses and gas densities may vary considerably.

See also: A. Robertson, R. Massey and V. Eke (2016) for similar discussions

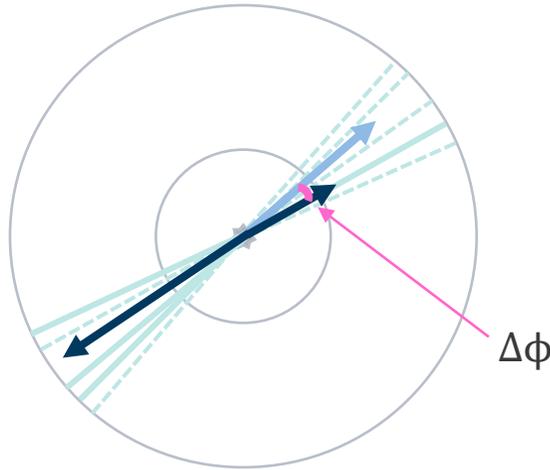
Figure and description from D. Wittman, N. Golovich and W. A. Dawson (2017)



Backup slide

Dark shower signatures: Semi-visible jets

- Invisible track
- Visible track
- MET vector
- Jet vector



Events with small $\Delta\phi$ look like QCD background. Such events are discarded to eliminate QCD background

⇒ Unexplored signature!

CMS published the first collider search for semi-visible jets in 2021 [[2112.11125](#)] (sensitive only to GeV-scale DM)

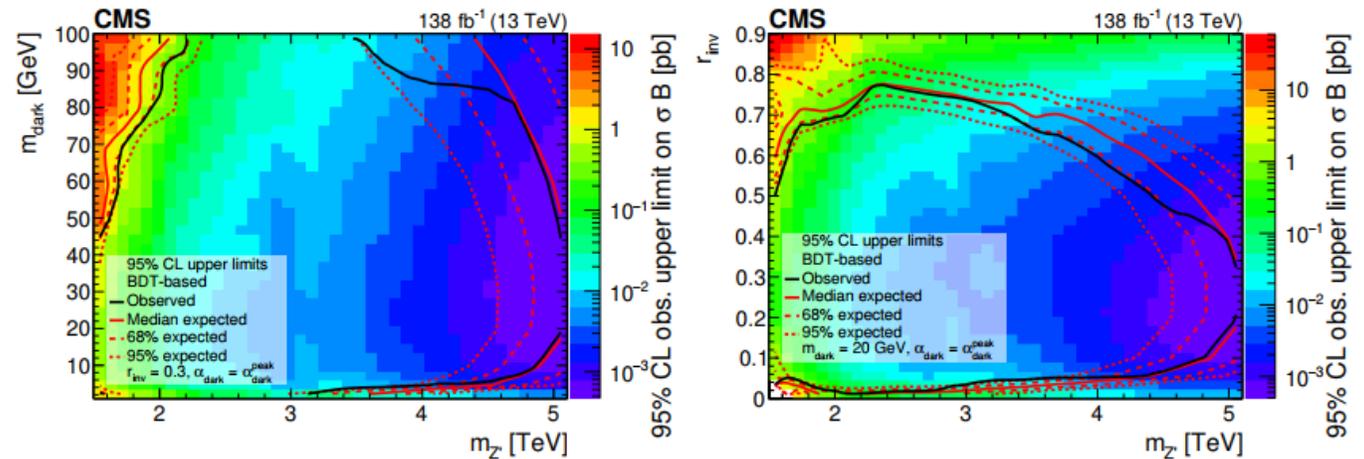
Search for resonant production of strongly coupled dark matter in proton-proton collisions at 13 TeV



The CMS collaboration

E-mail: cms-publication-committee-chair@cern.ch

ABSTRACT: The first collider search for dark matter arising from a strongly coupled hidden sector is presented and uses a data sample corresponding to 138 fb^{-1} , collected with the CMS detector at the CERN LHC, at $\sqrt{s} = 13\text{ TeV}$. The hidden sector is hypothesized to couple to the standard model (SM) via a heavy leptophobic Z' mediator produced as a resonance in proton-proton collisions. The mediator decay results in two “semivisible” jets, containing both visible matter and invisible dark matter. The final state therefore includes moderate missing energy aligned with one of the jets, a signature ignored by most dark matter searches. No structure in the dijet transverse mass spectra compatible with the signal is observed. Assuming the Z' boson has a universal coupling of 0.25 to the SM quarks, an inclusive search, relevant to any model that exhibits this kinematic behavior, excludes mediator masses of 1.5–4.0 TeV at 95% confidence level, depending on the other signal model parameters. To enhance the sensitivity of the search for this particular class of hidden sector models, a boosted decision tree (BDT) is trained using jet substructure variables to distinguish between semivisible jets and SM jets from background processes. When the BDT is employed to identify each jet in the dijet system as semivisible, the mediator mass exclusion increases to 5.1 TeV, for wider ranges of the other signal model parameters. These limits exclude a wide range of strongly coupled hidden sector models for the first time.



Backup slide

Chiral Lagrangian

$$\mathcal{L}_{Ch} \supset \frac{f_{\pi_D}^2}{4} \text{Tr}(D_\mu U D^\mu U) + \left[\frac{\mu_D^3}{2} \text{Tr}(M_q U^\dagger) + \text{h.c.} \right]$$

With $U \equiv e^{2i\pi_D/f_{\pi_D}}$, $D_\mu = \partial_\mu U + ig_{\pi_D \pi_D \rho_D} [U, \rho_{D\mu}]$, and $g_{\pi_D \pi_D \rho_D} \approx \frac{m_{\rho_D}}{\sqrt{2}f_{\pi_D}}$



$$\mathcal{L}_{Ch} \supset \frac{f_\pi^2}{4} \text{Tr}(D_\mu \pi_D D^\mu \pi_D) + m_{\pi_D}^2 \text{Tr}(\pi_D^2) + \frac{m_{\pi_D}^2}{3f_\pi^2} \text{Tr}(\pi_D^4) - \frac{2}{3f_\pi^2} \text{Tr}(\pi_D^2 D_\mu \pi_D D^\mu \pi_D - \pi_D D_\mu \pi_D \pi_D D^\mu \pi_D)$$



Backup slide

Dark shower signatures

SM jet originating from the DS
SM-like

- Visible prompt

All DS particles decayed to the SM promptly

- Visible displaced

All DS particles decayed to the

Displaced vertex and emerging jets
Distinct from SM

- Invisible

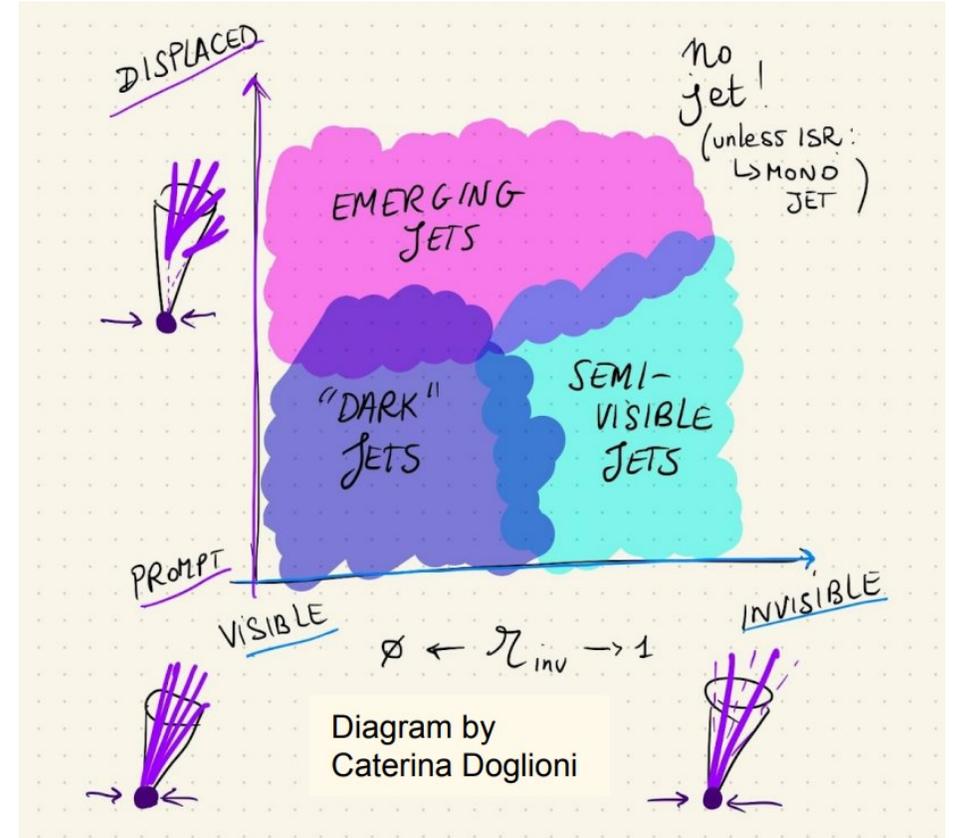
All DS particles were s

MET – requires ISR to detect
WIMP-like

- Semi-visible

Some DS particles were sta
and some DS particles deca

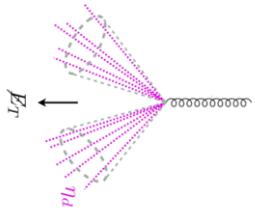
MET aligned with jets
Distinct from SM



Backup slide

Dark showers can come in (roughly) 3 different forms:

Invisible

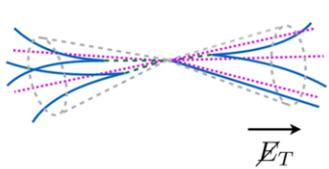


All DS particles were stable



MET opposite some ISR jet → **WIMP-like**

Semi-visible



Mix of stable DS particles and unstable DS that decayed to SM

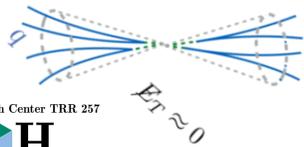


MET aligned with jets → **distinct from SM**



Unstable DS particles (ρ_D) can give displaced vertices if long-lived → **distinct from SM**

Visible



All DS particles decayed to SM



SM jet if decays are prompt → **SM-like**

