

The Mochima Simulation

The impact of Baryonic physics

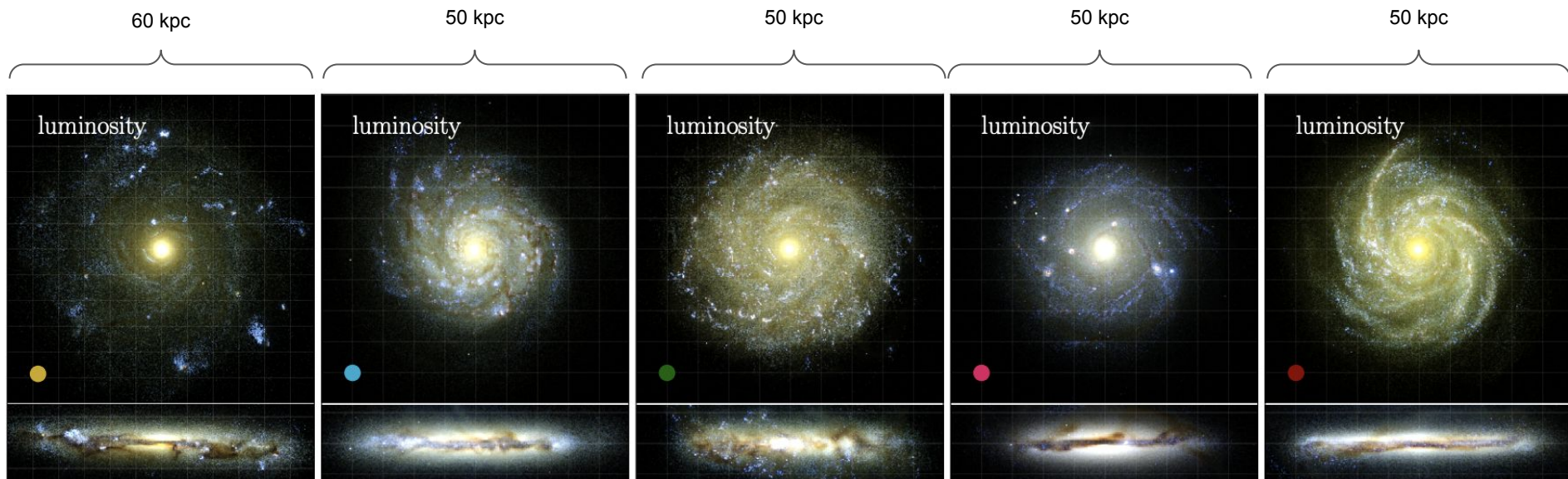
The DM distribution and dynamics of the host halo and subhalos of five realizations of the same Milky-Way-like galaxy.

Arturo Núñez-Castiñeyra

`arturo.nunez@cea.fr`

Colaborations:

Emmanuel Nezri (LAM), Vincent Bertin (CPPM), Pol Mollitor (LAM) Julien Devriendt (Oxford), Romain Teyssier (Princeton), Thomas Iacroux (Madrid), Martin Stref (LUPM), Julien Laval (LUPM), Jean-Charles Lambert (LAM)



The Mochima simulations

Stellar mass $\sim 5e10 M_{\text{sun}}$
 Total mass $\sim 1.5e12 M_{\text{sun}}$
5 simulations with baryons + **1 DMO**
 done using AMR code Ramses (Teyssier et al 2002)

DM is cold dark matter
 (very massive $\sim 1e4 M_{\text{sun}}$ collisionless particles)

Zoom-in technique
 Resolution 35 pc
 In a 36 Mpc box

Nunez-Castineyra et al (2020)
 (arxiv:2004.06008)

Same galaxy, same initial conditions, different baryonic physics (SN and SF)

Delayed Cooling
(Dubois et al 2015)

Kennicutt-Schmidt SF

Kennicutt-Schmidt SF:

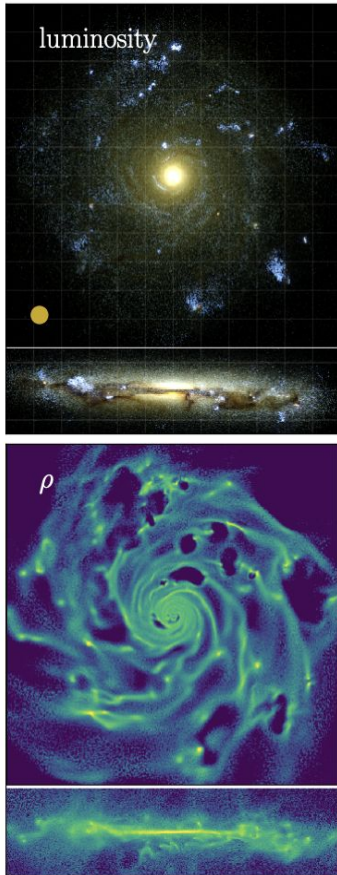
$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho_g}{t_{\text{ff}}} \quad \text{for } \rho_g > \rho_*$$

ϵ_{ff} is constant and calibrated to reproduce KS law.

Delayed cooling SN feedback:

Inject directly a non-thermal energy corresponding to the SN explosion

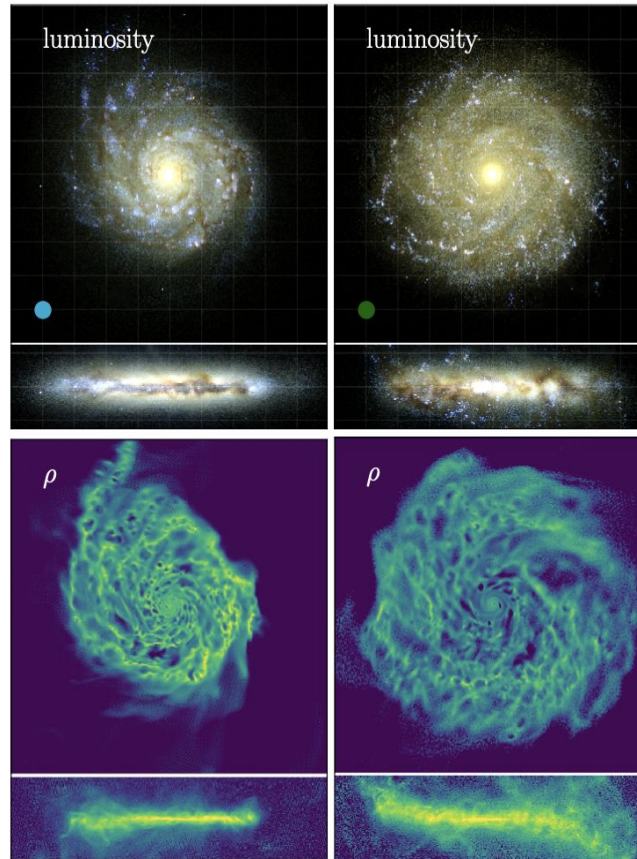
The energy con more massive t $\rho \frac{D\epsilon_{\text{turb}}}{Dt} = \dot{E}_{\text{inj}} - \frac{\rho\epsilon_{\text{turb}}}{t_{\text{diss}}}$ assive stars expected to be versal IMF.



Teyssier et al. 2013, Dubois et al. 2015.

Delayed Cooling
(Dubois et al 2015)

Turbulent SF
(multi-ff KN Hennebelle & Chabrier 2011)



Turbulent SF:

Environment dependent efficiency: $\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$

$$\epsilon_{\text{ff}} = \frac{\epsilon}{2\phi_t} \exp\left(\frac{3}{8}\sigma_s^2\right) \left[1 + \text{erf}\left(\frac{\sigma_s^2 - s_{\text{crit}}}{\sqrt{2\sigma_s^2}}\right)\right]$$

where:

$$\sigma_s^2 = \ln(1 + b^2 \mathcal{M}^2) \quad \mathcal{M} = \frac{\sigma_T}{c_s}$$

$$\rho_{\text{crit}} \propto \alpha_{\text{vir}} \mathcal{M}^2 \quad \alpha_{\text{vir}} = \frac{\sigma_T^2}{G\rho_0 \Delta^2}$$

Hennebelle & Chabrier 2003

Delayed cooling SN feedback:

Inject directly a non-thermal energy corresponding to the SN explosion

$$\rho \frac{D\epsilon_{\text{turb}}}{Dt} = \dot{E}_{\text{inj}} - \frac{\rho\epsilon_{\text{turb}}}{t_{\text{diss}}}$$

Teyssier et al. 2013, Dubois et al. 2015.

Turbulent SF:

Environment dependent efficiency: $\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$

$$\epsilon_{\text{ff}} = \frac{\epsilon}{2\phi_t} \exp\left(\frac{3}{8}\sigma_s^2\right) \left[1 + \text{erf}\left(\frac{\sigma_s^2 - s_{\text{crit}}}{\sqrt{2}\sigma_s^2}\right)\right]$$

Mechanical FB:

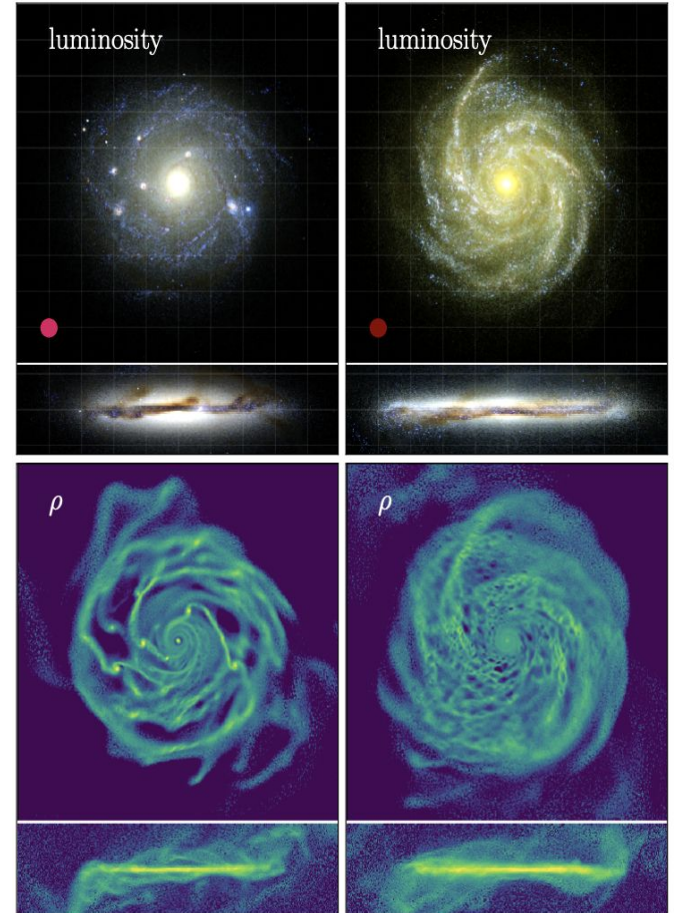
Model the two phases of the SN explosion and inject the corresponding momentum

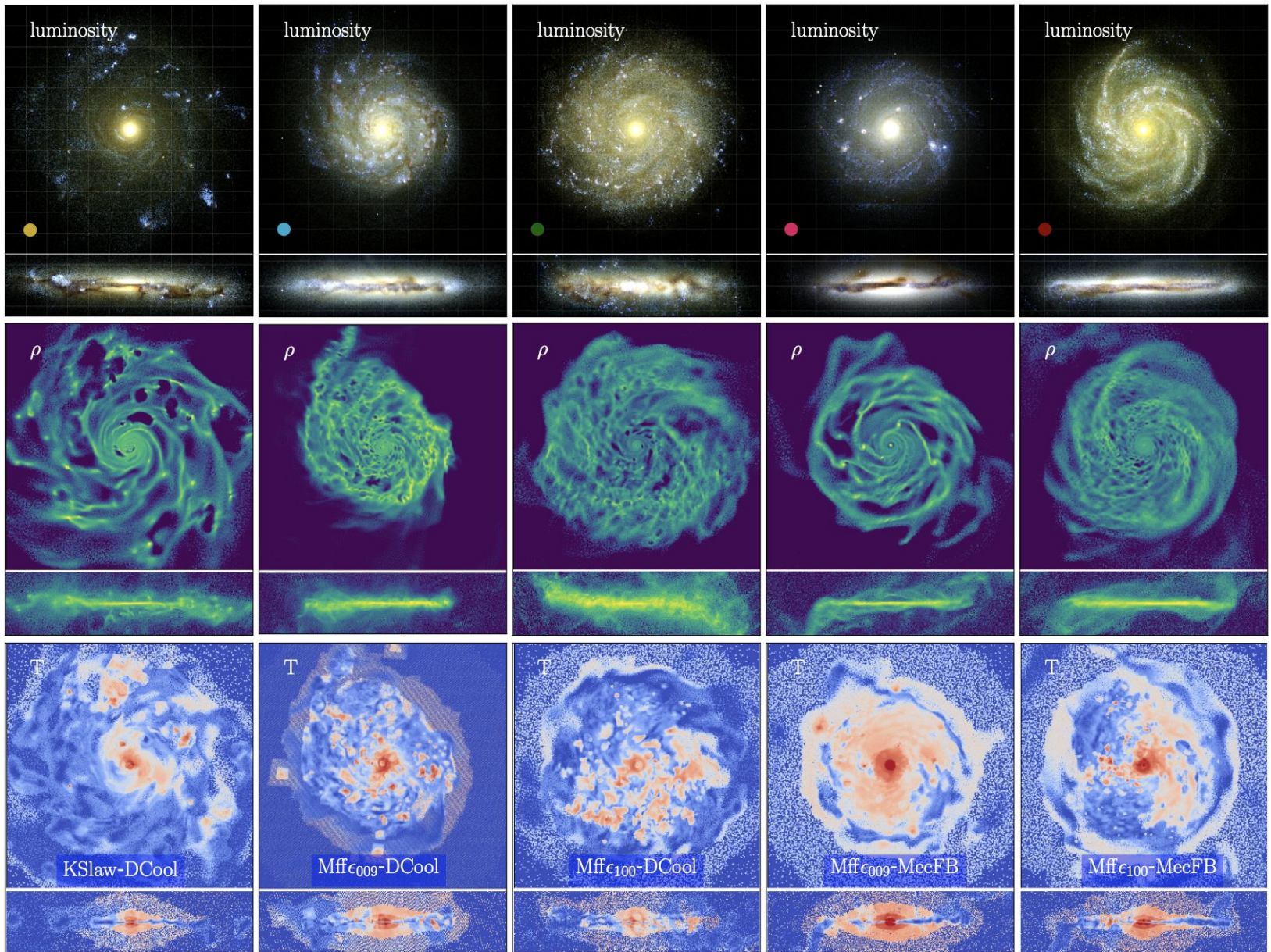
$$p_{\text{SN, snow}} \approx 3 \times 10^5 \text{ km s}^{-1} M_{\odot} E_{51}^{16/17} n_{\text{H}}^{-2/17} Z'^{-0.14}$$

$$p_{\text{SN}} = \begin{cases} p_{\text{SN, ad}} = \sqrt{2\chi M_{\text{ej}} f_e E_{\text{SN}}} & (\chi < \chi_{\text{tr}}) \\ p_{\text{SN, snow}} & (\chi \geq \chi_{\text{tr}}) \end{cases}$$

$$\chi \equiv dM_{\text{swept}}/dM_{\text{ej}} \quad \chi_{\text{tr}} \equiv 69.58 E_{51}^{-2/17} n_{\text{H}}^{-4/17} Z'^{-0.28}$$

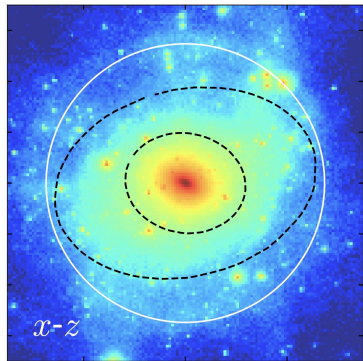
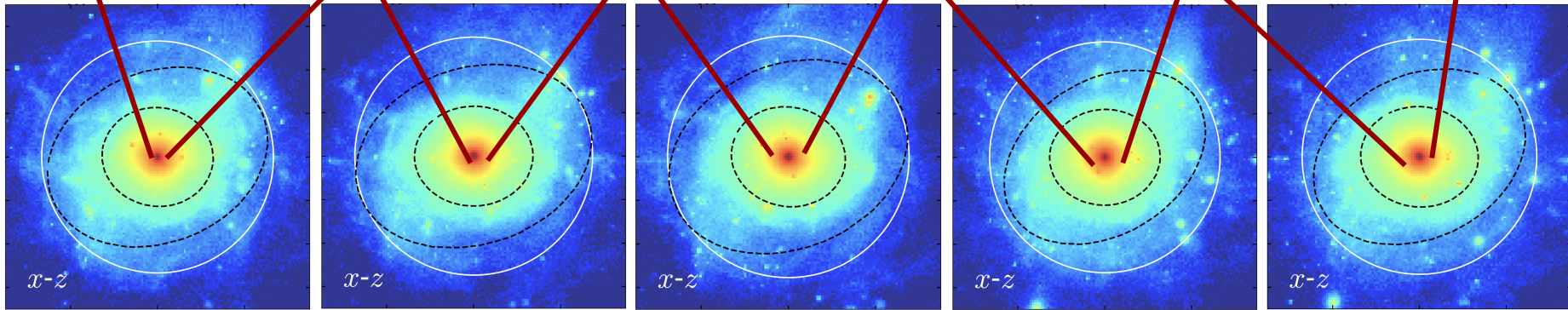
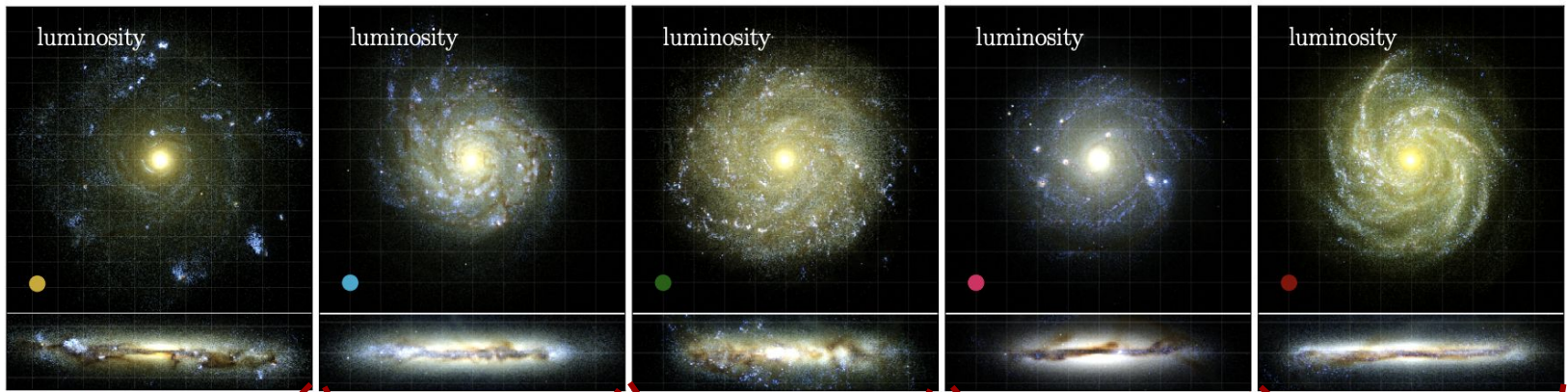
Kimm & Cen 2014. Kimms et al. 2015.





Nunez-Castineyra et al
(arxiv:2004.06008)

Same galaxy, same initial conditions, different baryonic physics (SN and SF)



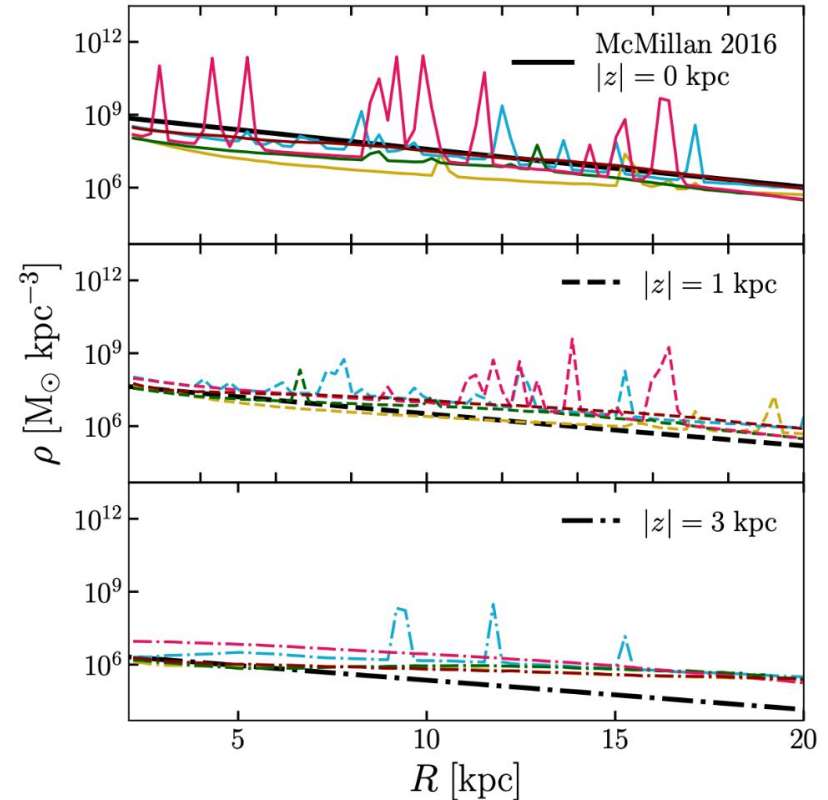
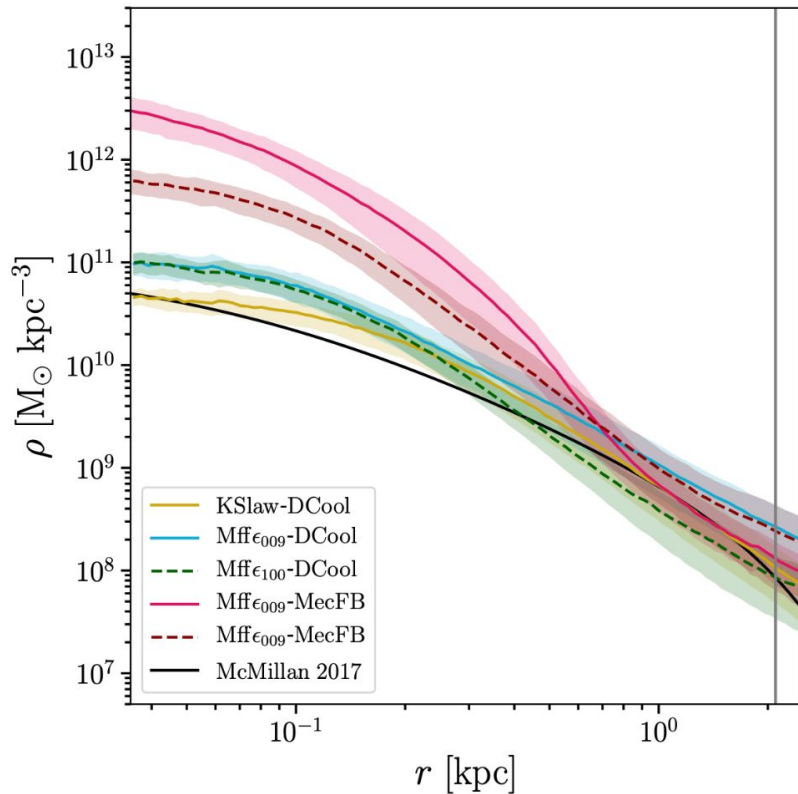
Baryonic Analysis and comparisons
 Nunez-Castineyra et al 2020
 (arxiv:2004.06008)

Dark Matter
 Main DM halo
 Nunez-Castineyra et al 2023
 (arxiv:2301.06189)

Satellites subhalos
 Nunez-Castineyra in prep
 (soon :)

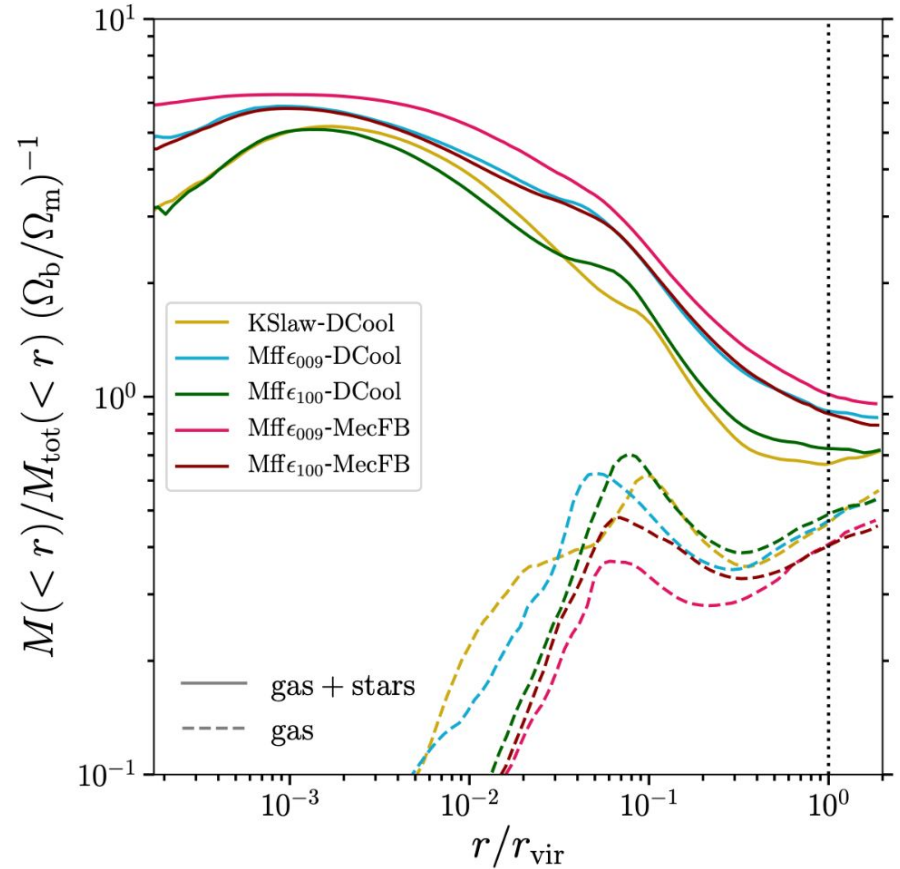
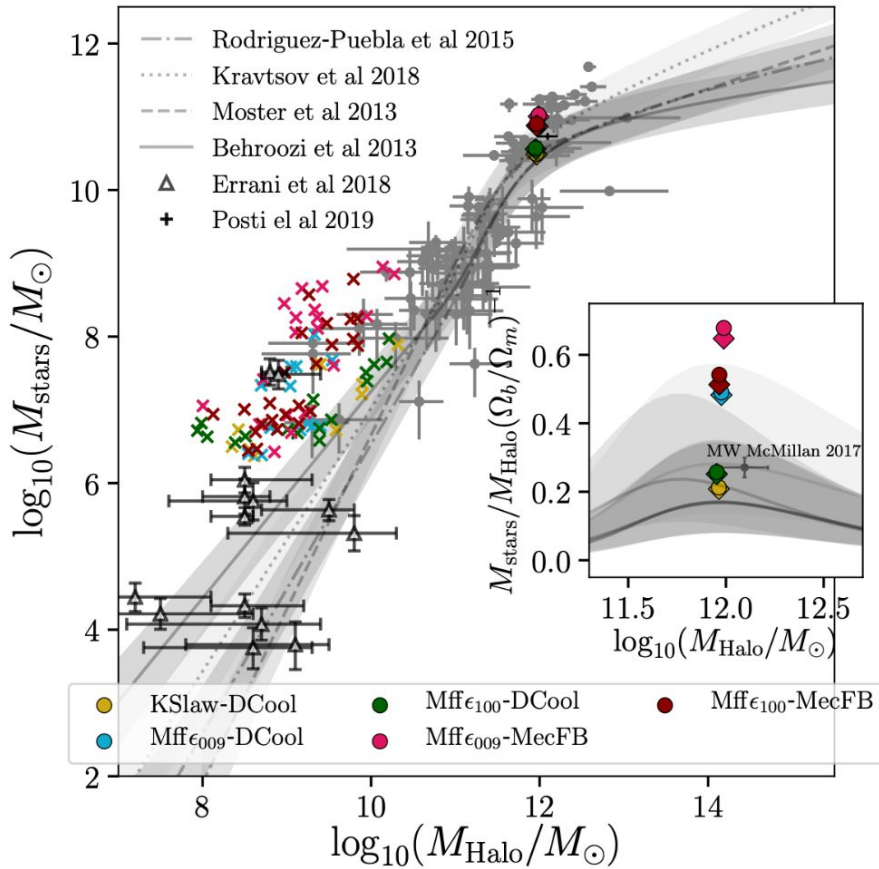
The Mochima simulations

How milky way like is a milky-way-like?



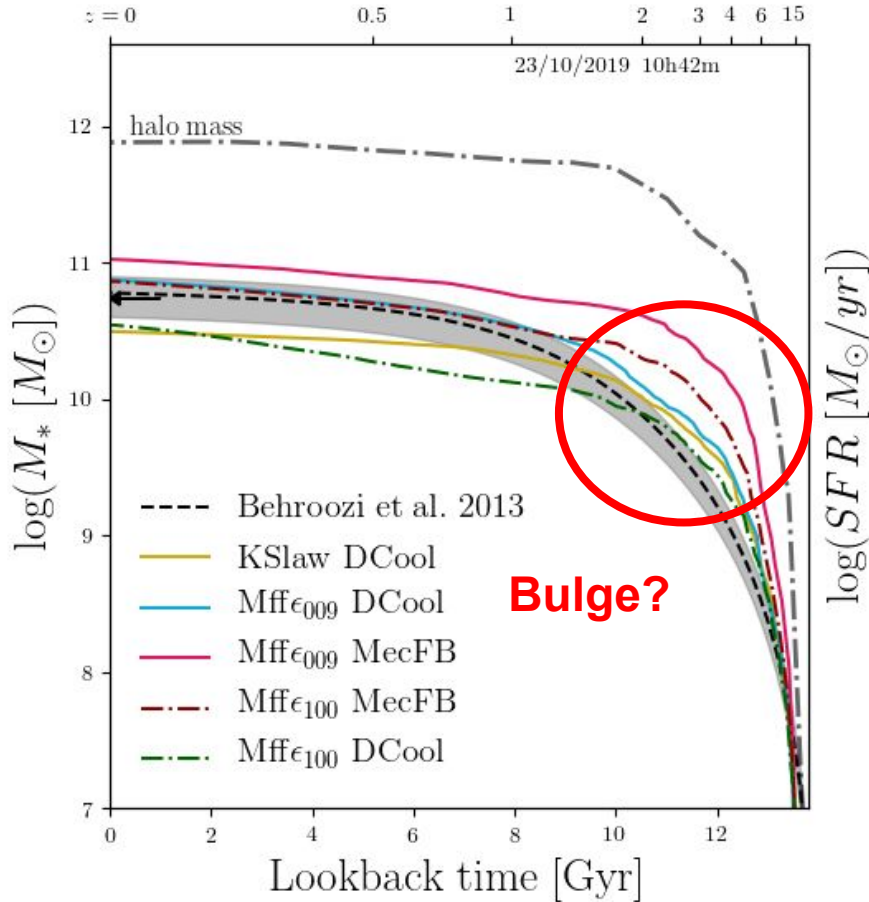
From comparisons with the stellar density profiles of the **MW** we know that these simulations have massive spherical central bulges, and slightly thicker stellar disc far from the center.

Dark matter content

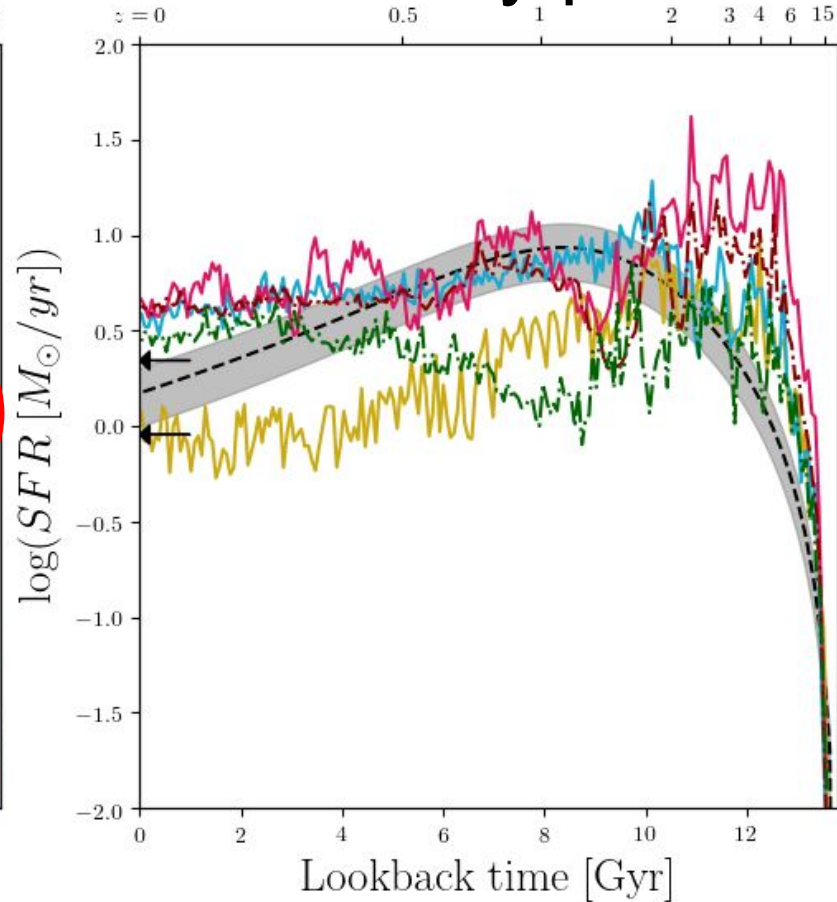


The Mochima suite is in good agreement with SHMR and the cosmological matter content

Stellar mass

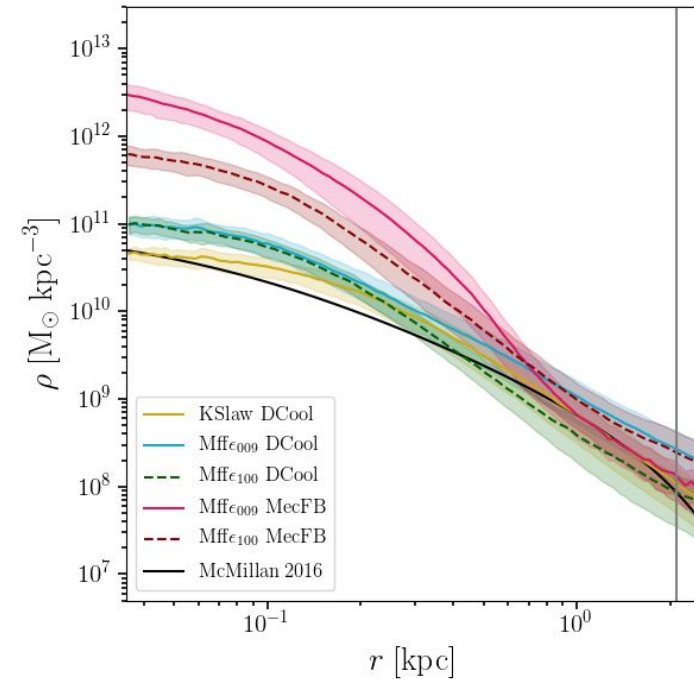
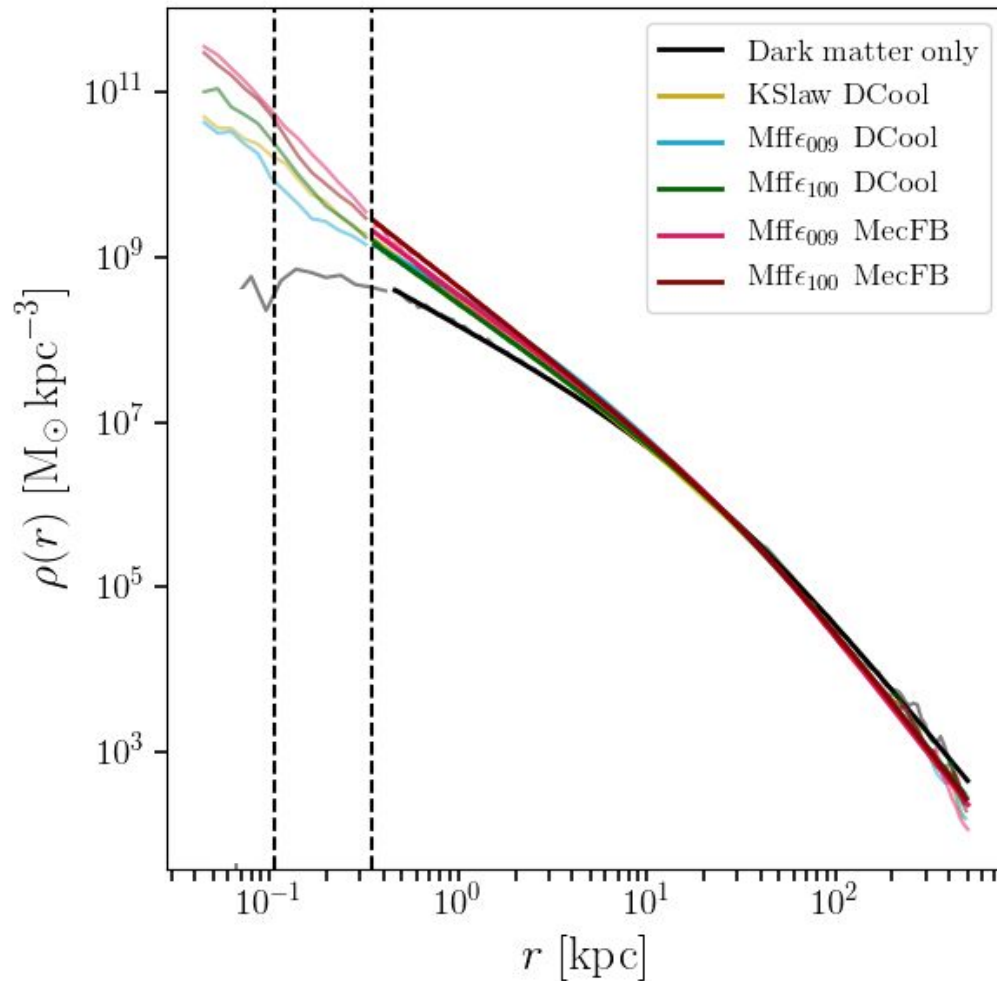


Stellar bulge density profile

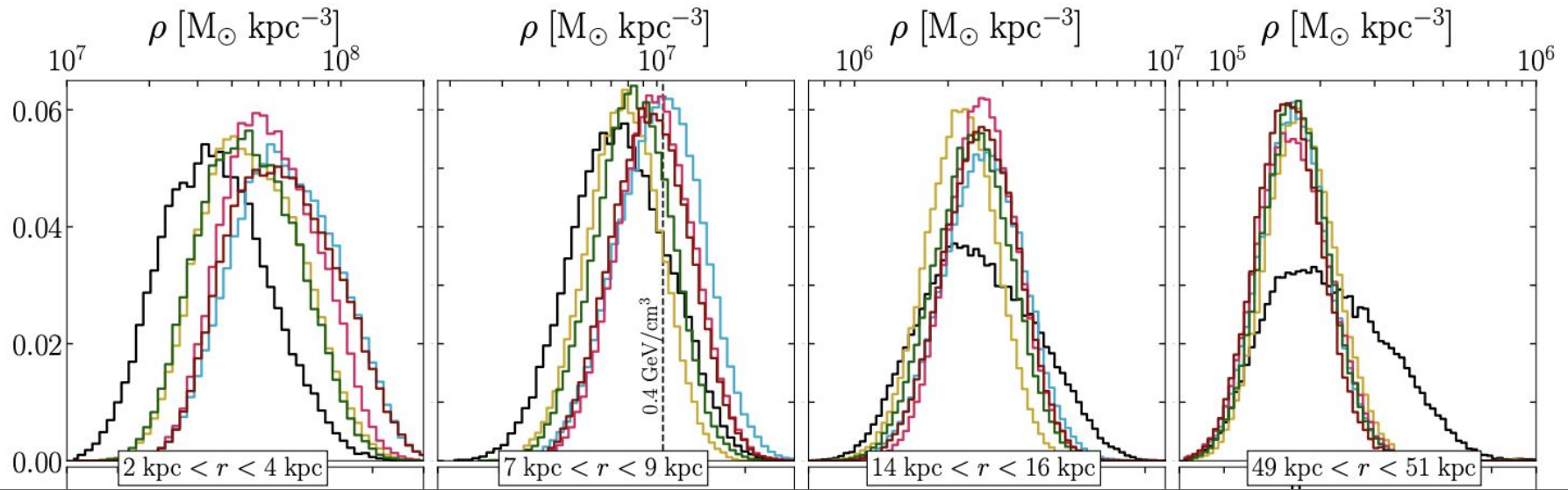


The bulge is composed mainly of old stars formed before $z=2$

Dark matter distribution

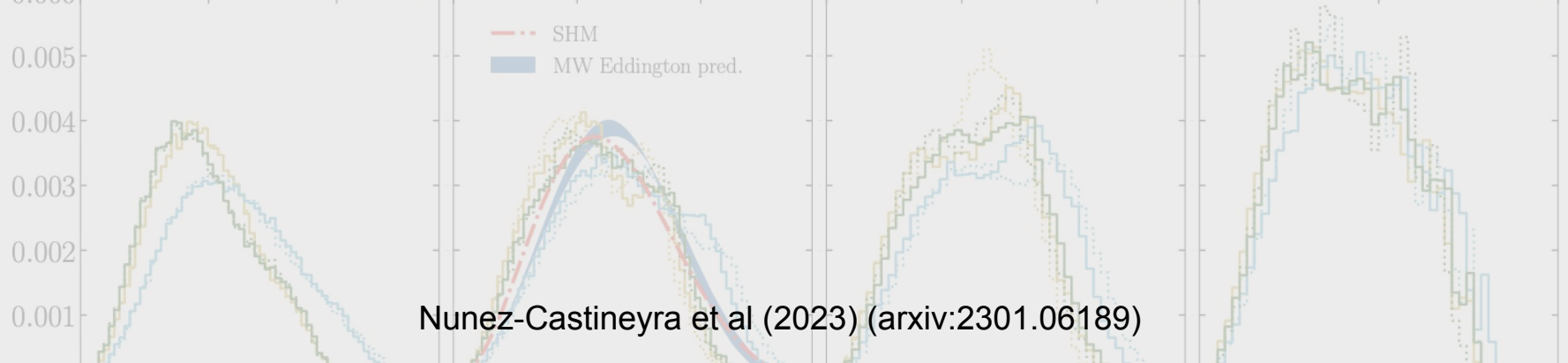
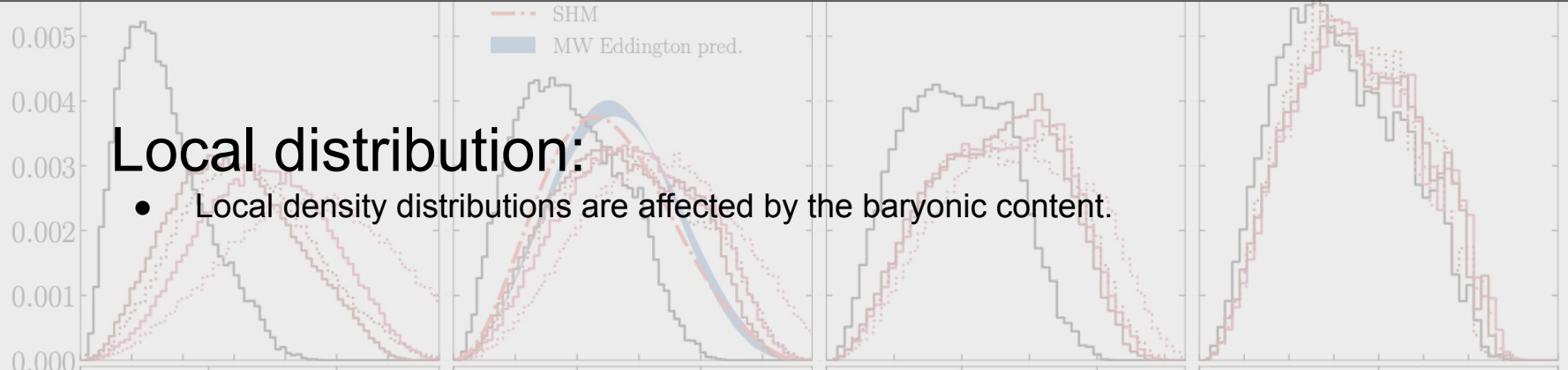


The DM halos are very cuspy.
They suffer adiabatic contraction
which intensities are related to the
bulge size.



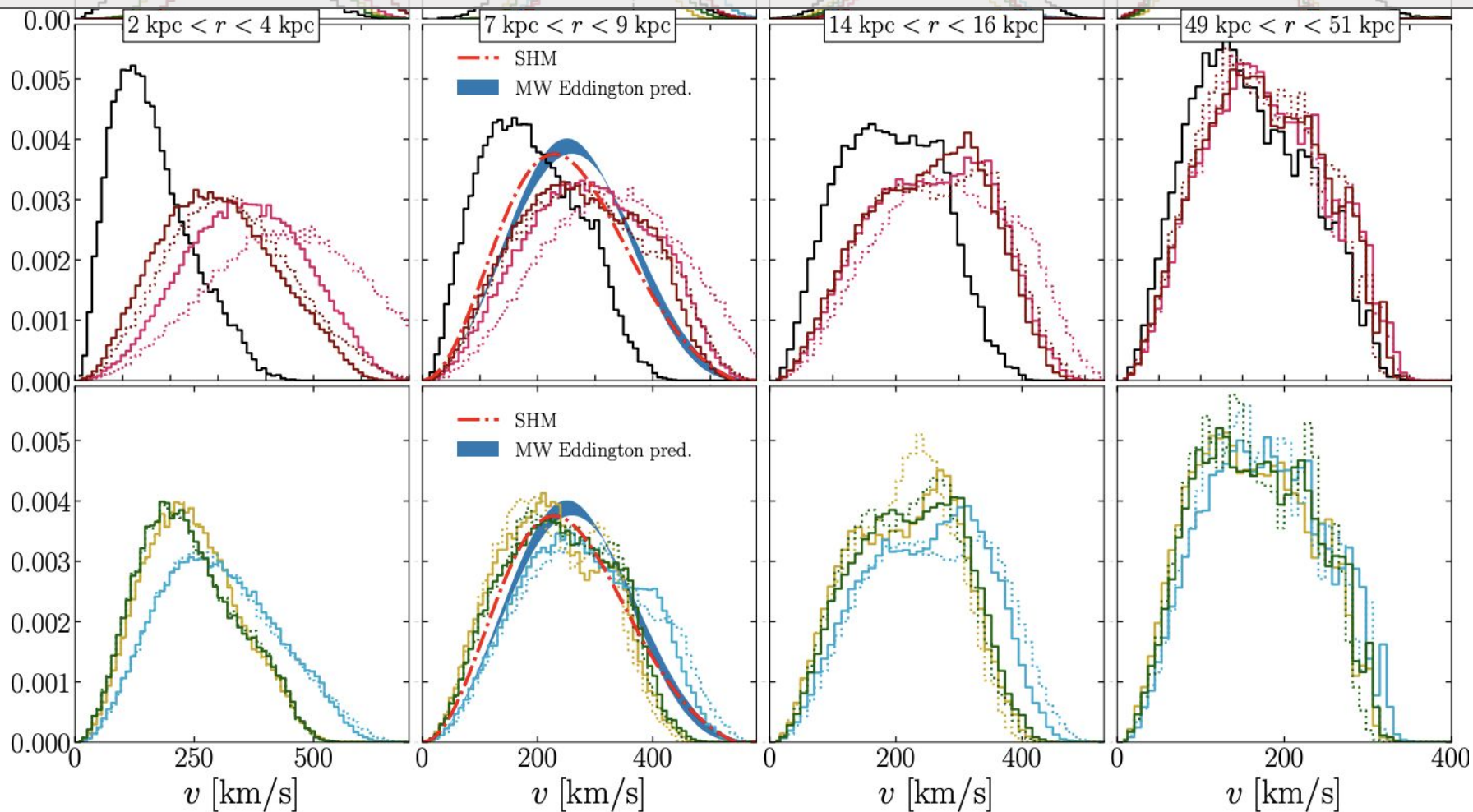
Local distribution:

- Local density distributions are affected by the baryonic content.

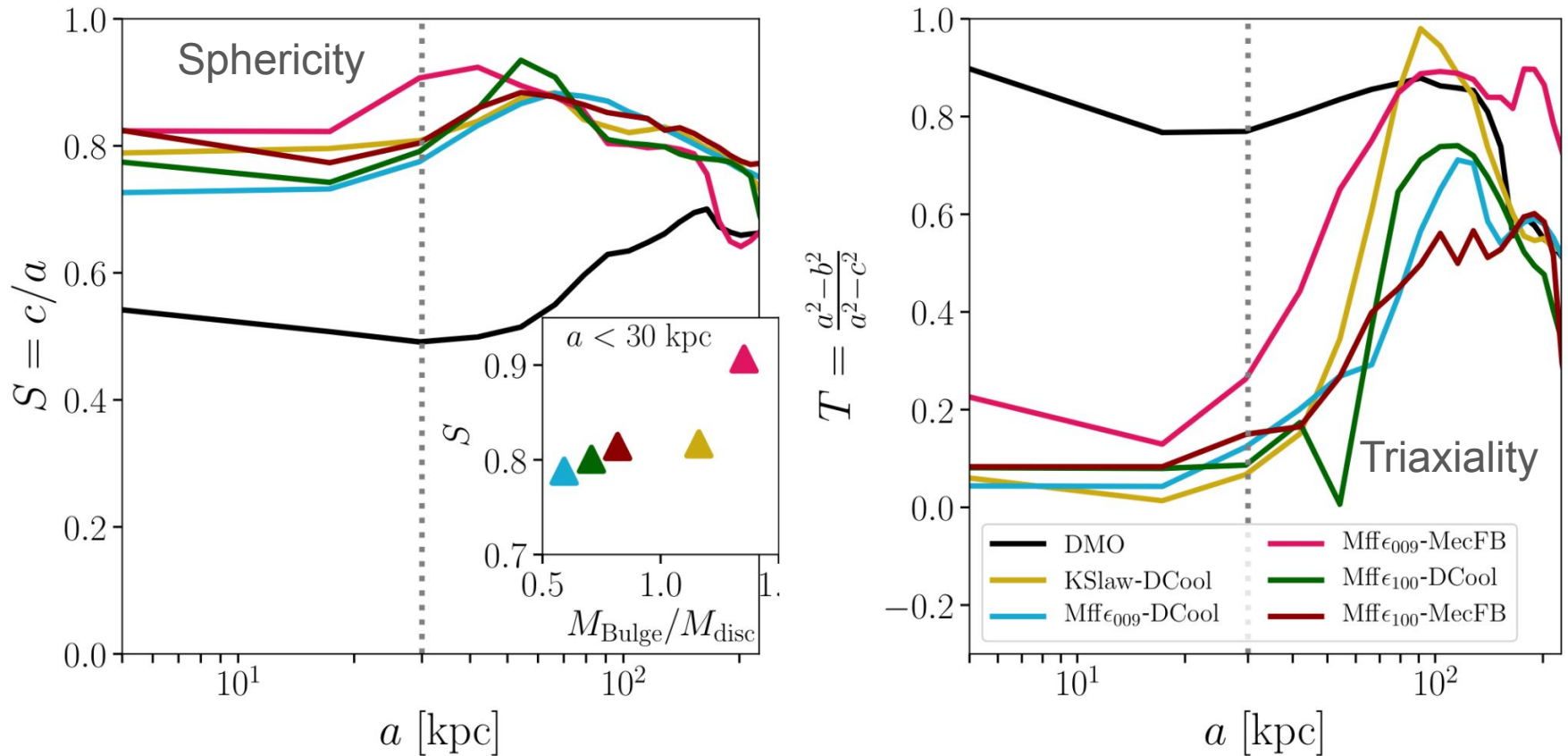


Local distribution:

- Local density distributions are affected by the baryonic content.
- Local velocity distributions are affected more drastically. And don't fully agree with predictions in the mean peak of the distribution and in the high velocity tail.

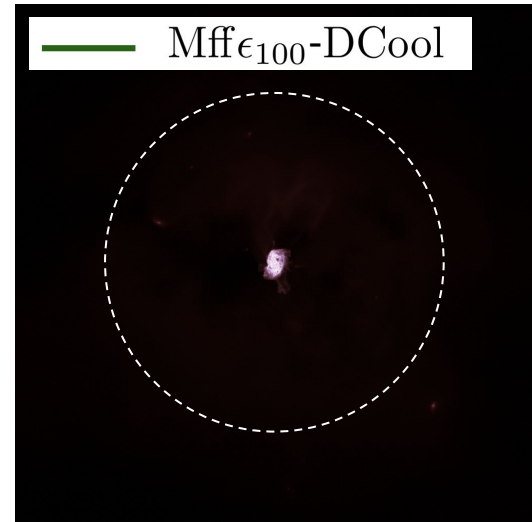
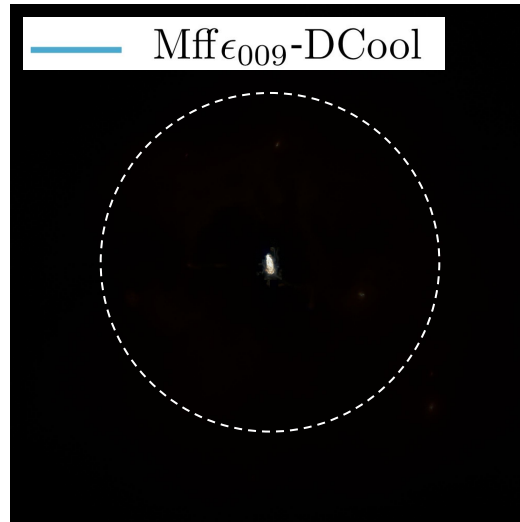
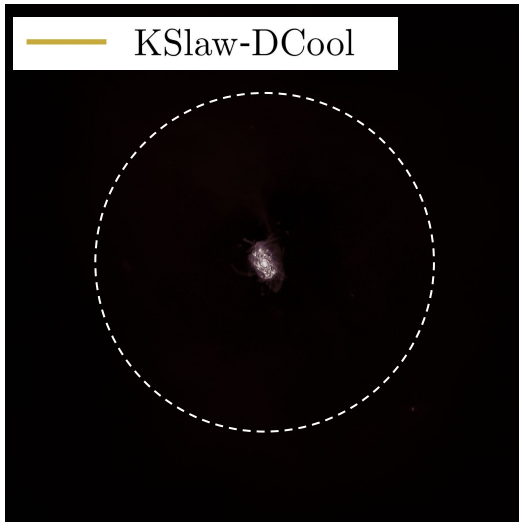


Shape of the DM halo



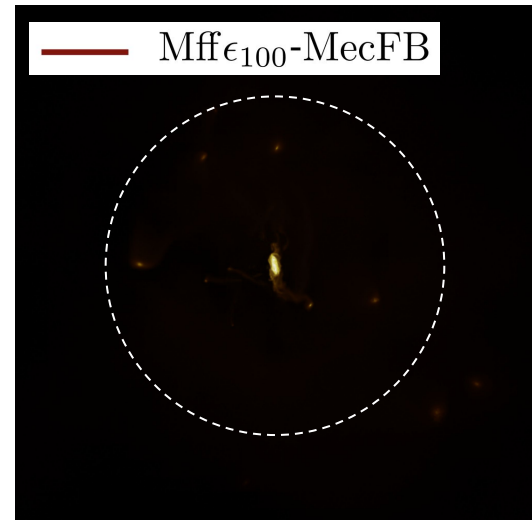
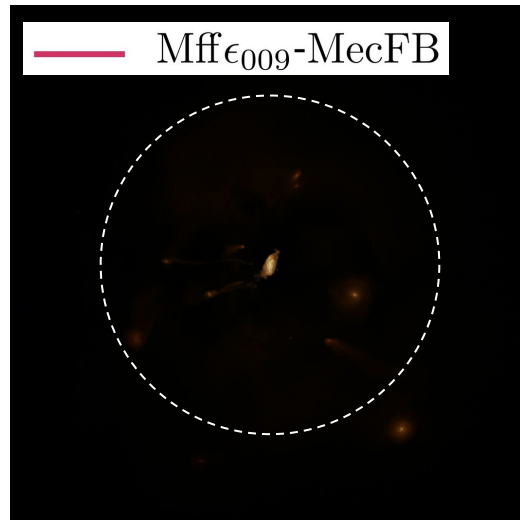
The presence of subhalos increases the triaxial shape of the outer halo.
 Different baryonic physics results in different subhalo populations.

Baryons

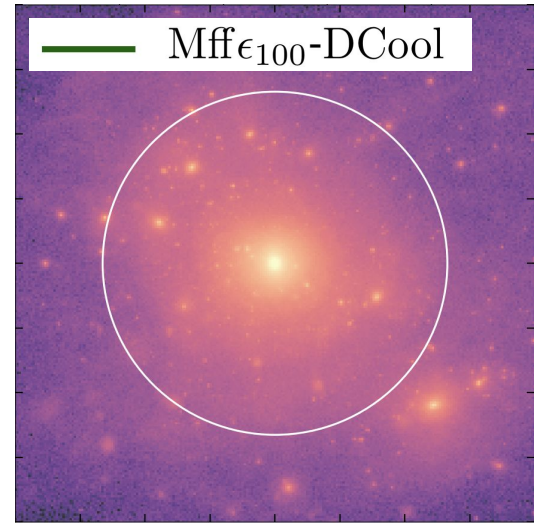
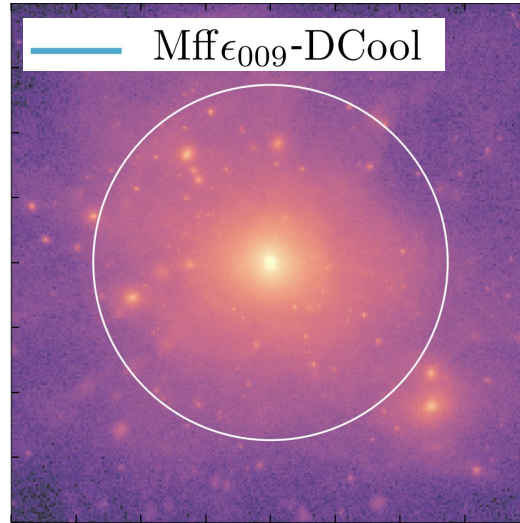
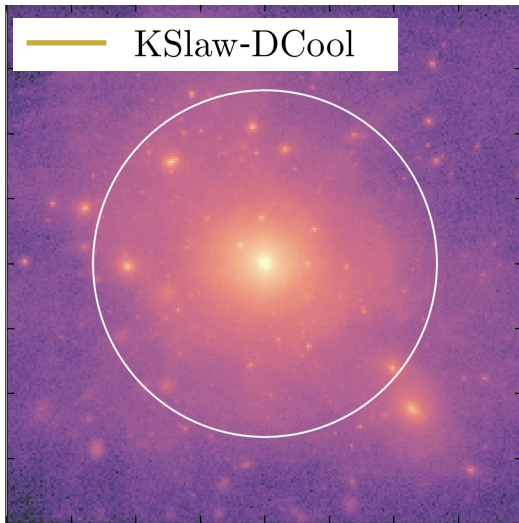


Satellites are impacted by subgrid physics

- Central harassment
- Survival ability

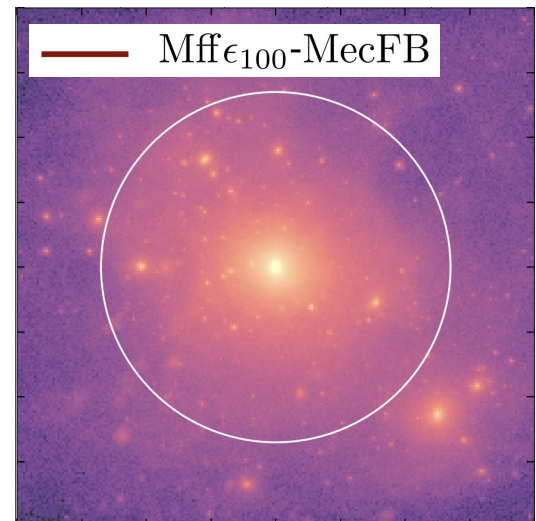
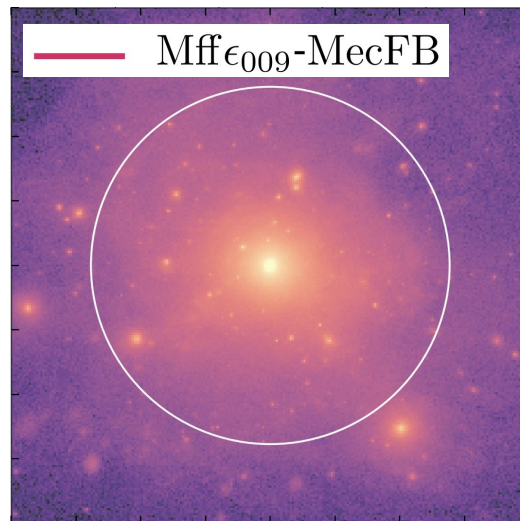


Full dark matter halo

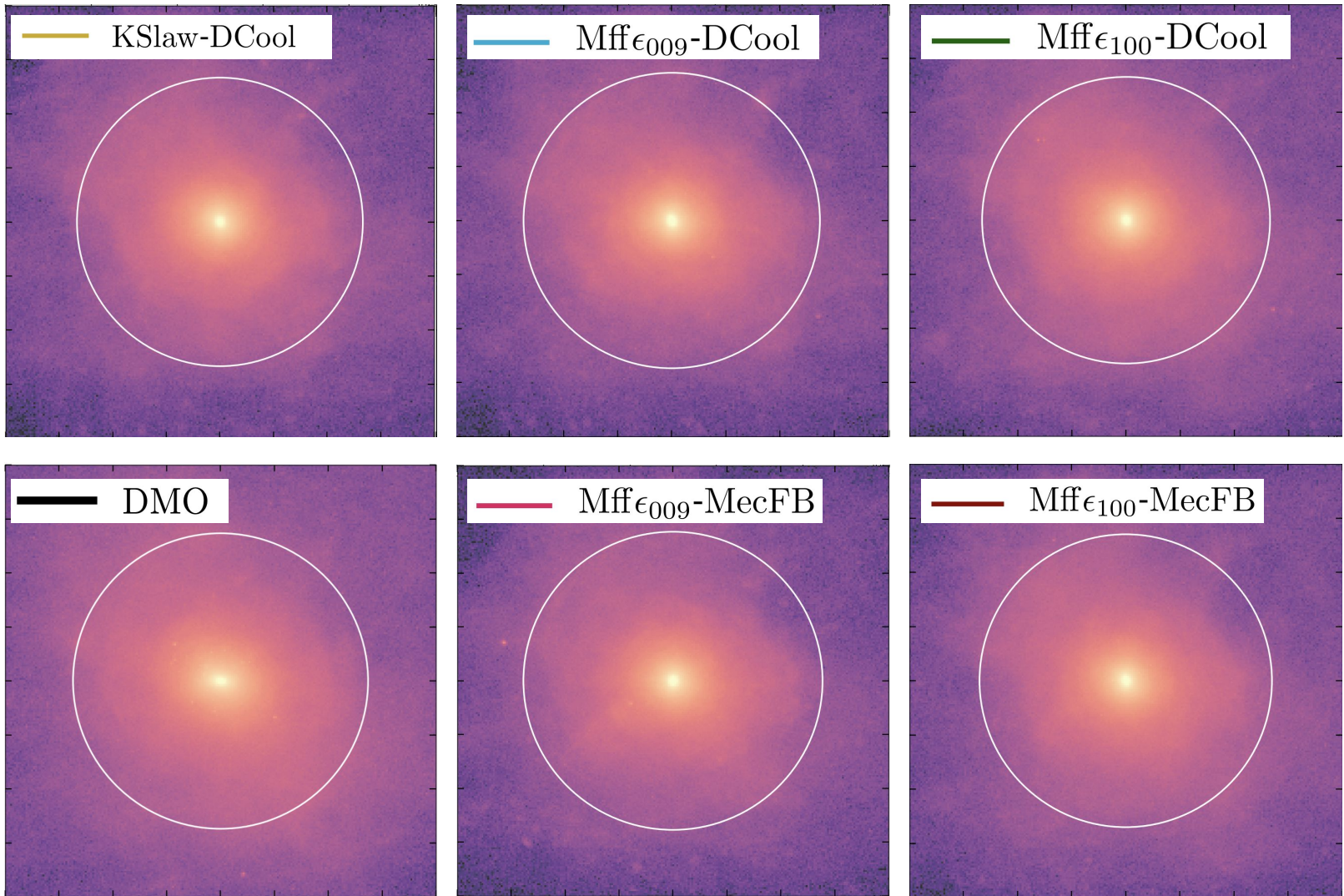


Satellites are impacted by subgrid physics

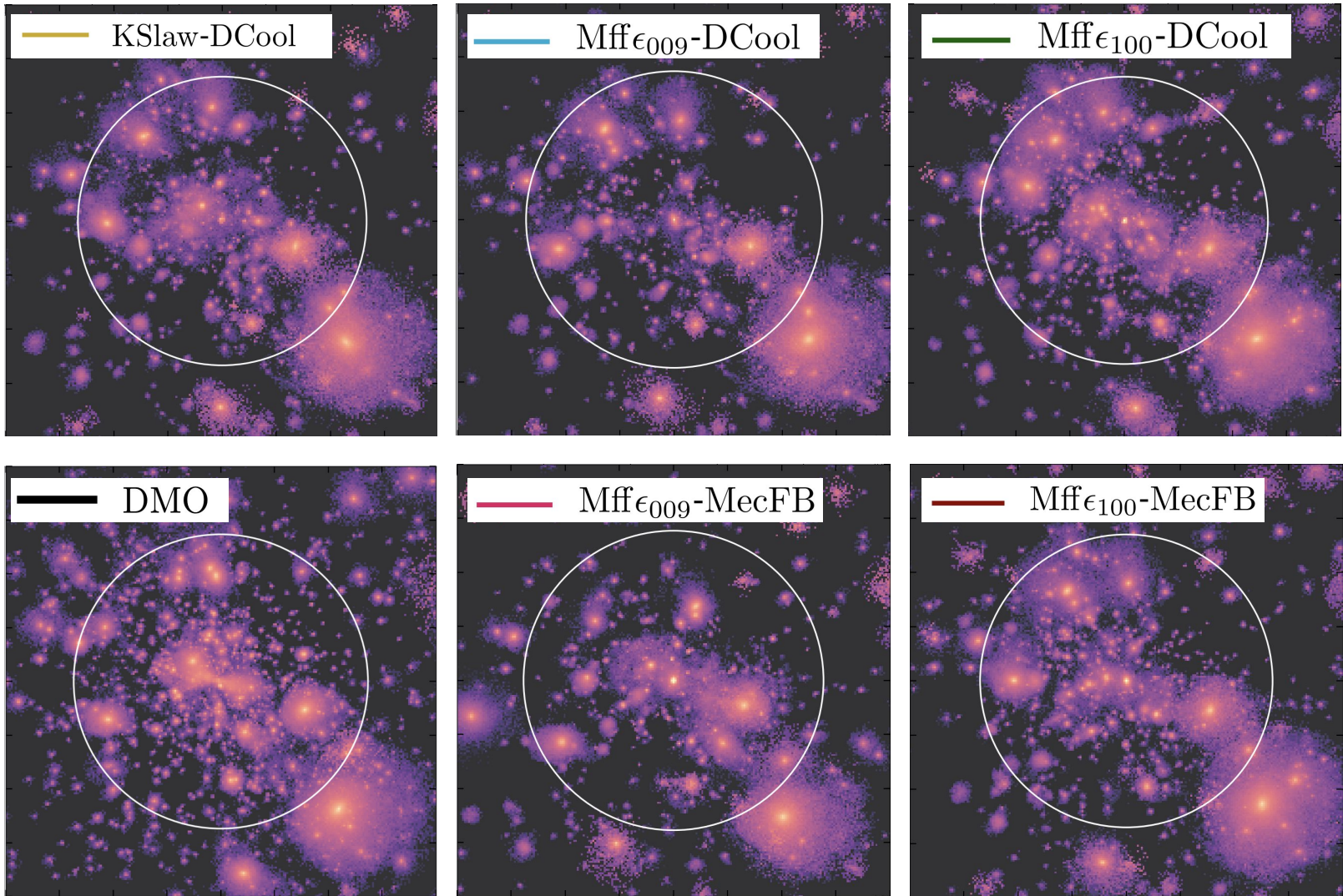
- Central harassment
- Survival ability



Smooth component of the dark matter halo

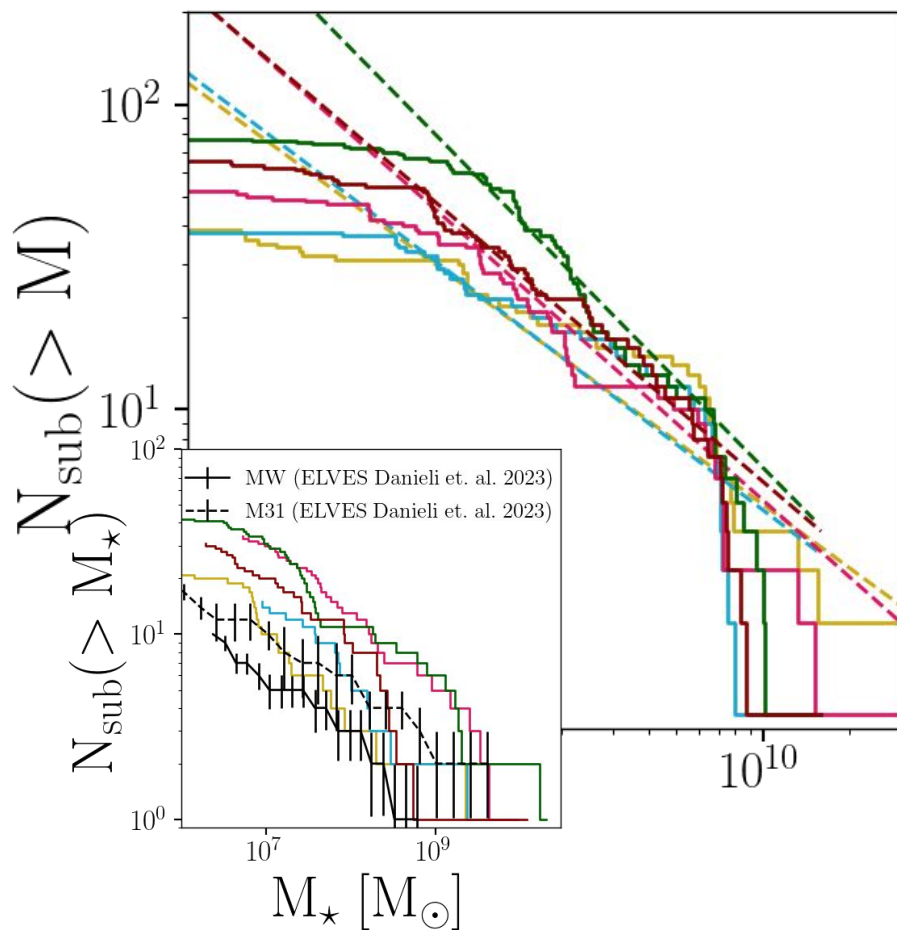
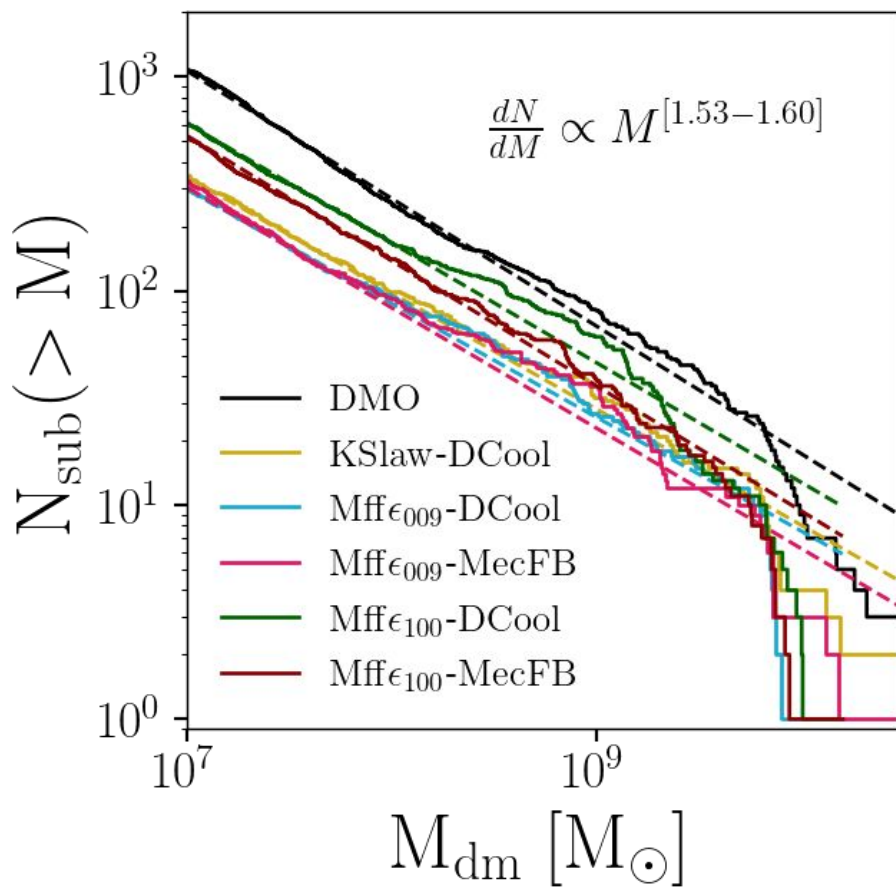


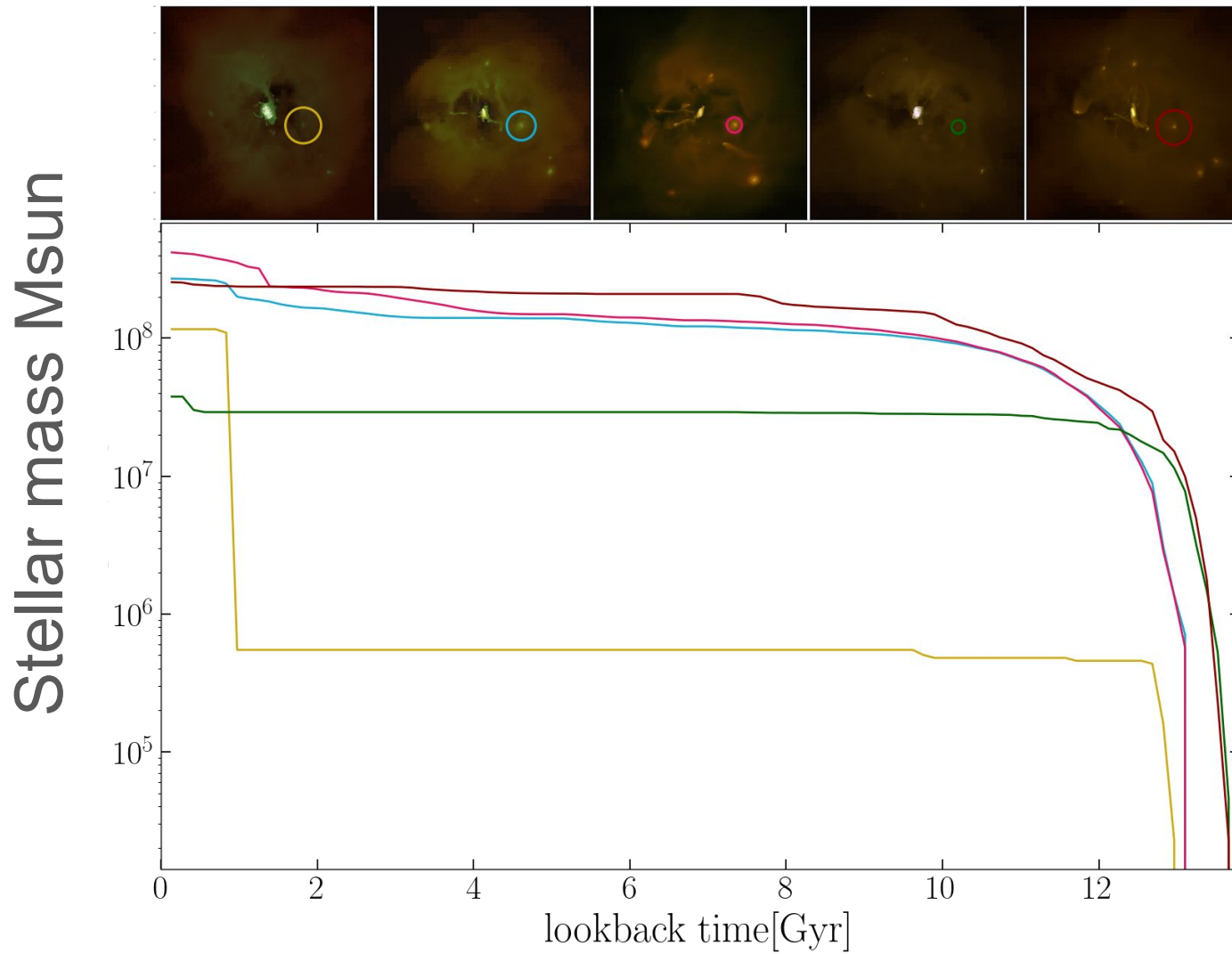
Clumpy component of the dark matter halo



Clumpy component of the dark matter halo

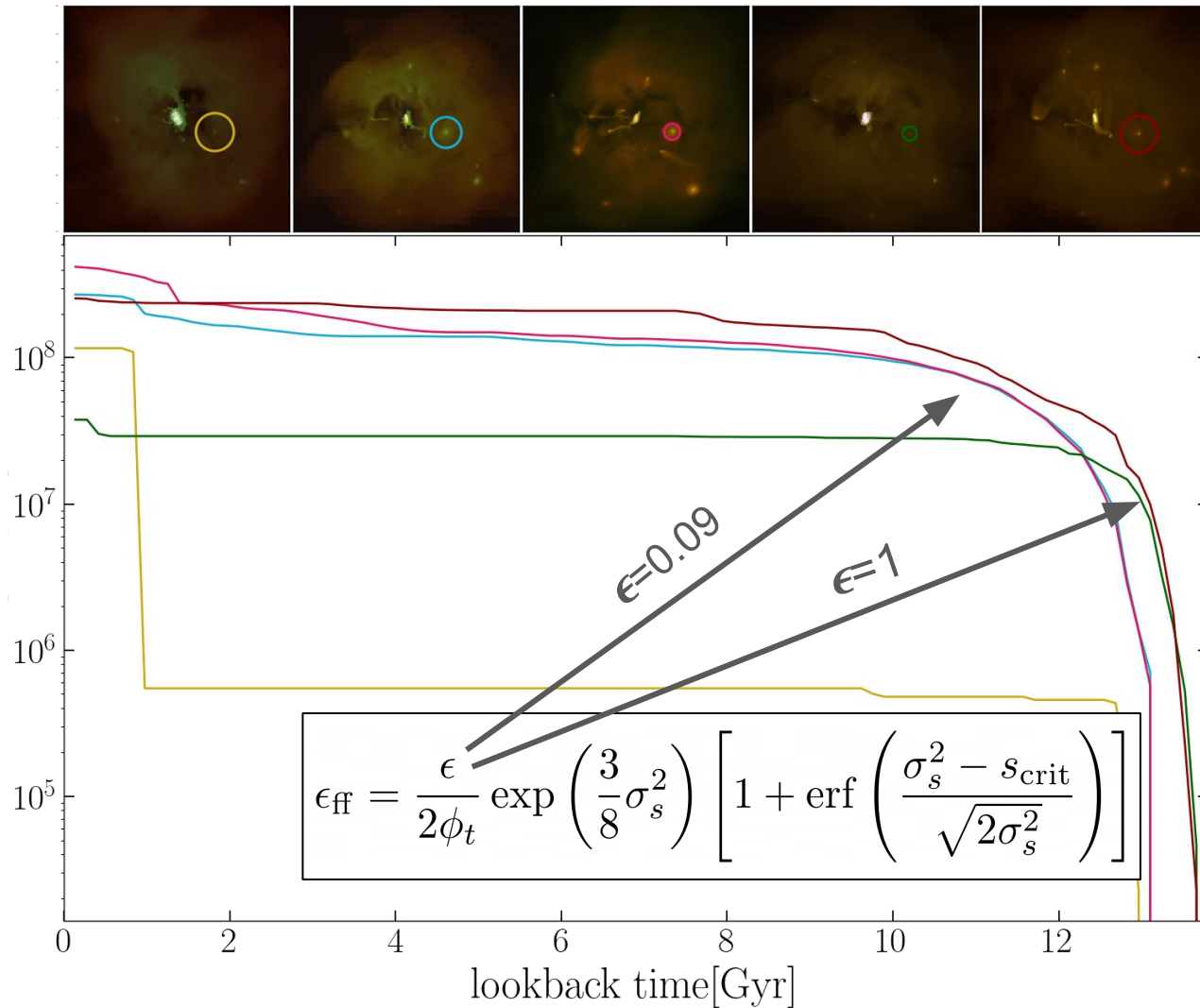
Mass spectrum





Lets take on comon satellite as an example

Stellar mass M_{sun}



Lets take on comon satellite as an example:
 Star formation is trigger earlier in the 2 cases with $\epsilon=1$

Summary

- **Baryonic physics** (SF and SN feedback) will impact the DM distribution
 - Density distribution:
early SF excesses can induce DM cusps
 - Velocity distribution:
higher stellar masses → **faster vdf**
- Subhalos are also impacted
 - Mass spectrum
 - Inner density profiles
 - More to come

Gamma ray and neutrino searches

Direct and indirect searches, and Neutrinos from the Sun

Gamma ray and neutrino searches from satellites

Next steps:

AGN feedback (early SF), **cosmic rays feedback and others** (H2 feedback, IMF non universalities)

Other DM models

We need to be careful with what we predict from simulations

Thanks

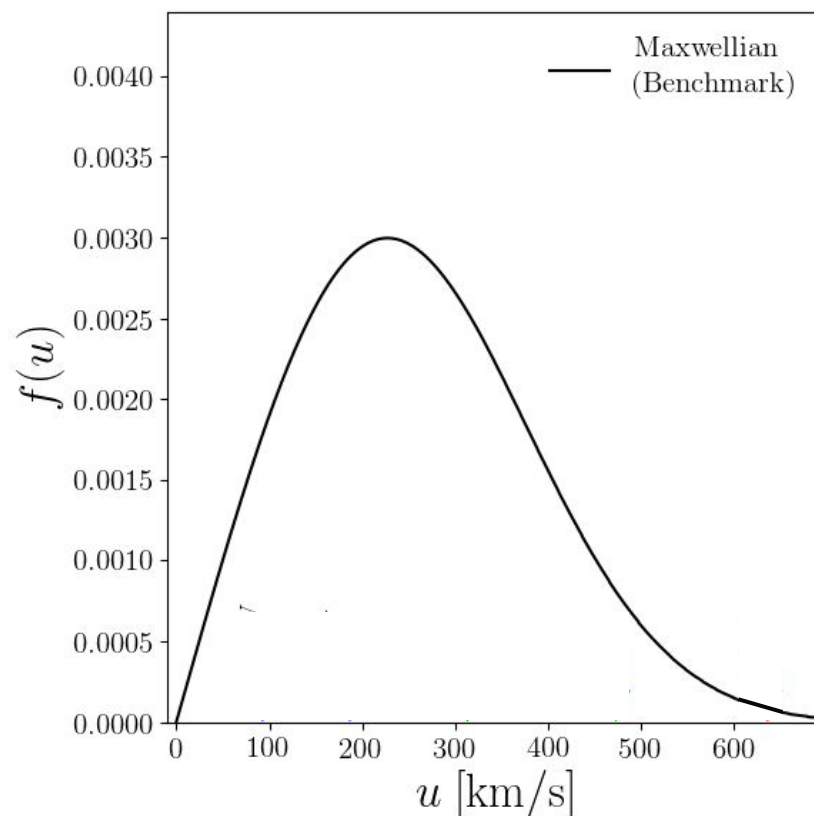


Does this matters for DM detection?

Local dark matter velocity distribution

- The local DM velocity distribution is highly relevant for local dark matter searches depending on the DM candidate
- For typical WIMP searches:
 - the **low-velocity tail** is important for neutrino detection through **solar capture**
 - The **high-velocity tail** is more relevant for **direct detection experiments and directional** direct detection experiments.

Therefore, it is necessary to know the local velocity distribution.



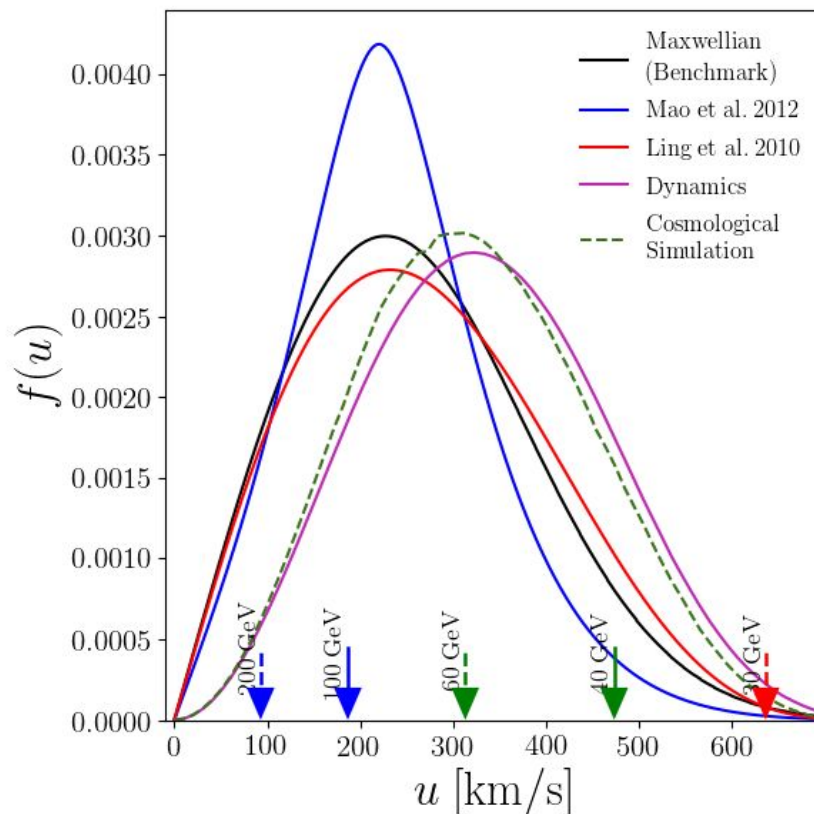
Local dark matter velocity distribution

You either assume a halo:

- SHM: Isothermal DM halo.

Or fit a halo:

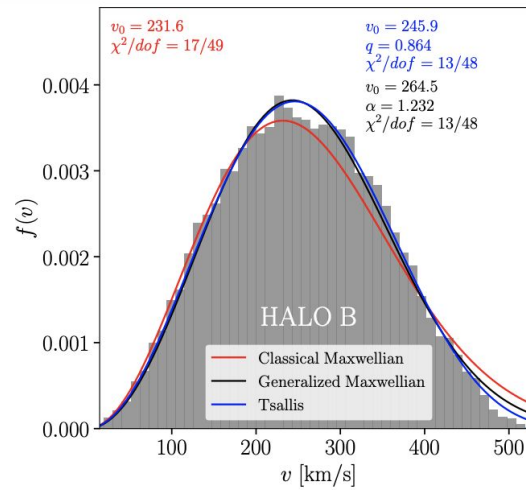
- DM velocity distribution. (Ling 2010, Mao 2012)
- Gravitational potential : Eddington inversion (Lacroix et al 2012, Lacroix+ANC 2020)



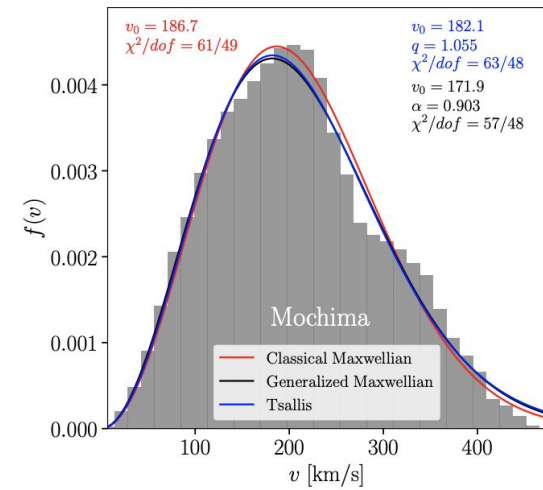
Local dark matter velocity distribution

Typical fitting function overpredict the high velocity tail.

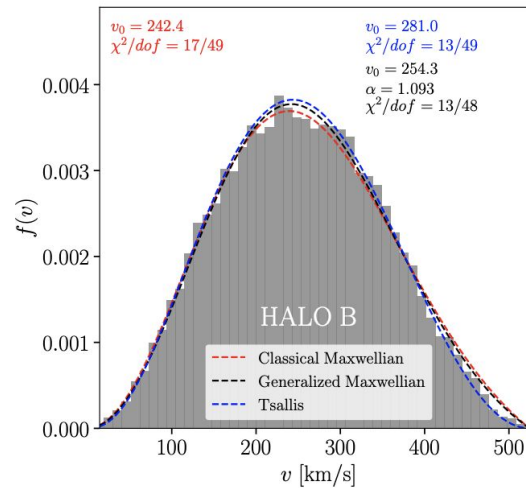
This can be corrected by considering the escape velocity at the solar distance from the galactic center.



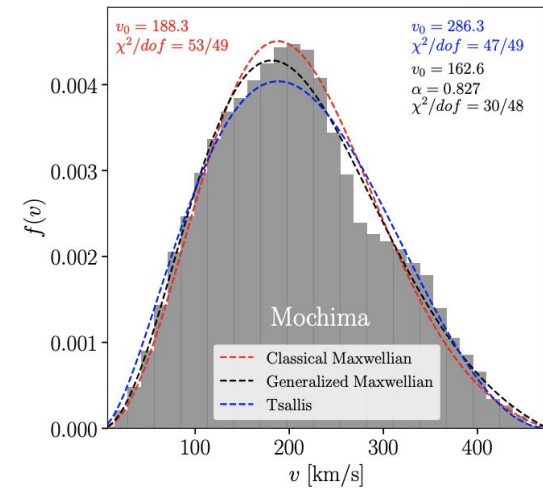
(a) Halo B



(b) Mochima



(c) Halo B with v_{esc}



(d) Mochima with v_{esc}

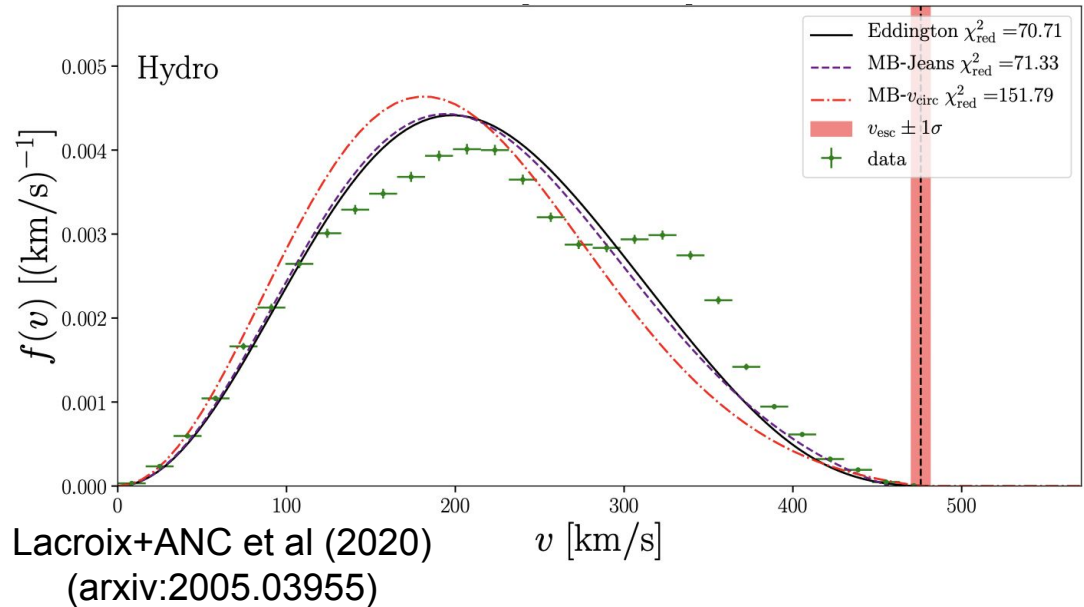
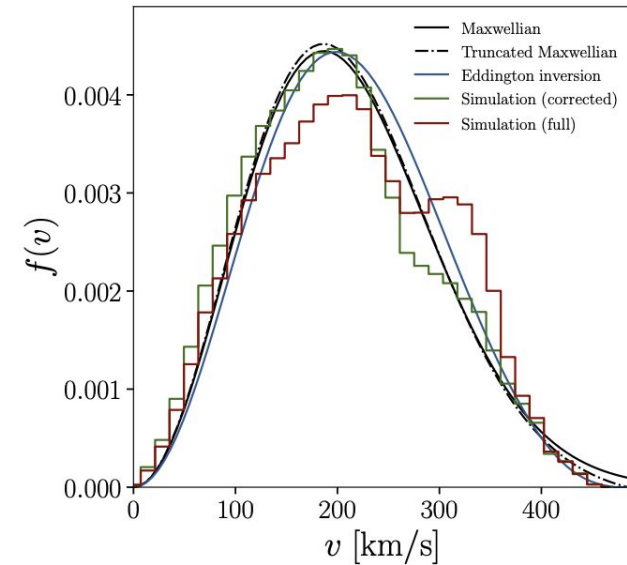
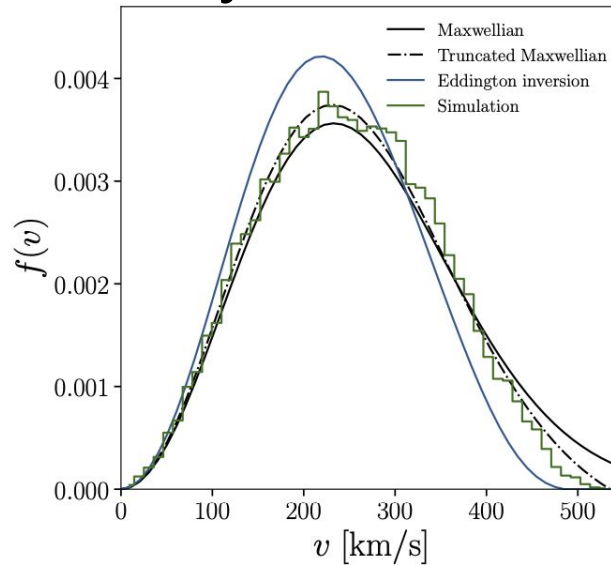
Local dark matter velocity distribution

Typical fitting function
overpredict the high
velocity tail.

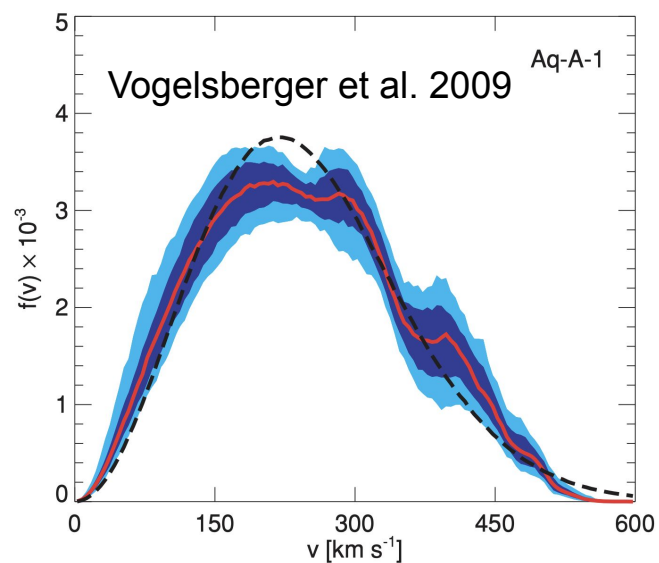
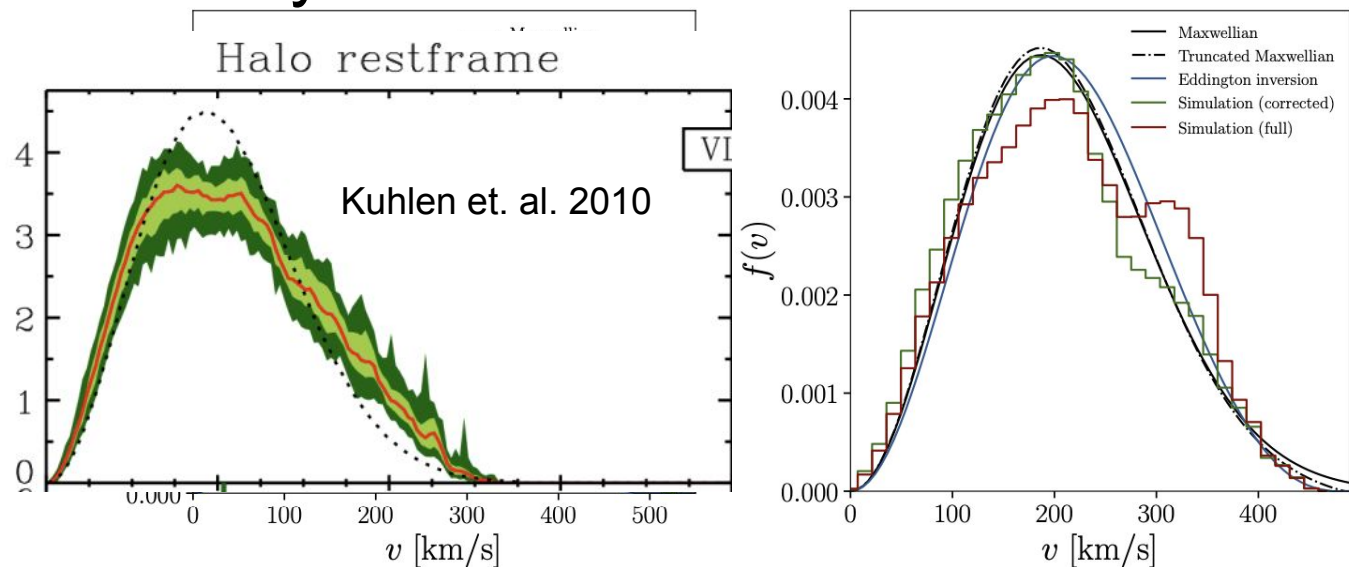
This can be corrected by
considering the escape
velocity at the solar
distance from the galactic
center.

The gravitational potential
can also be assumed and
recover the phase space
distribution.

But the velocity distribution
in simulations is not always
smooth.



Local dark matter velocity distribution

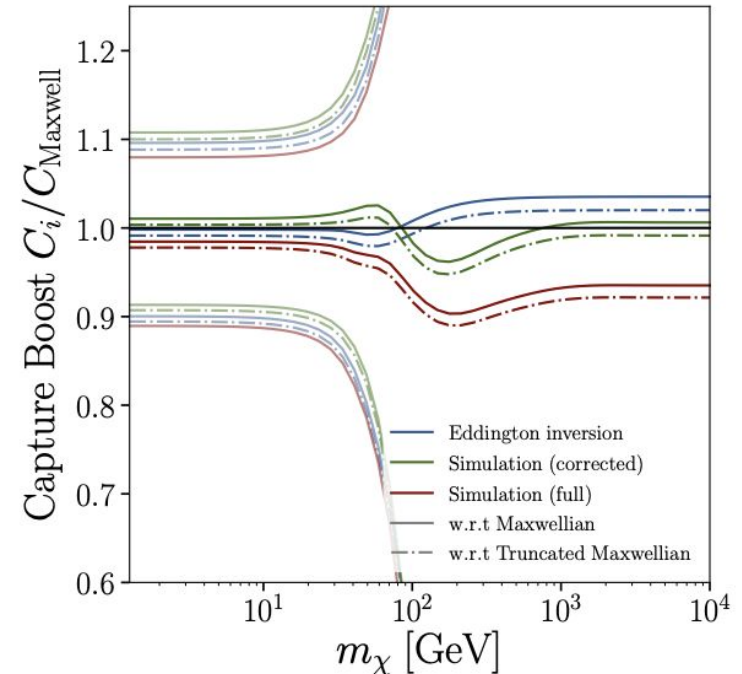
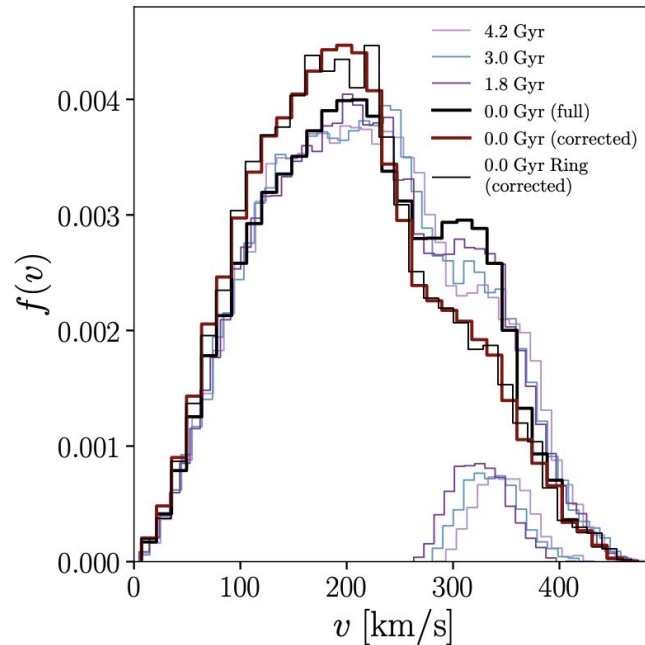


But the velocity distribution
in simulations is **not**
always smooth.

Effects of the structure of the velocity distribution on DM detection

The presence of the **high-velocity excess** is **weakly** impactful for **solar DM capture**. Since this process is sensitive to the low velocity tail.

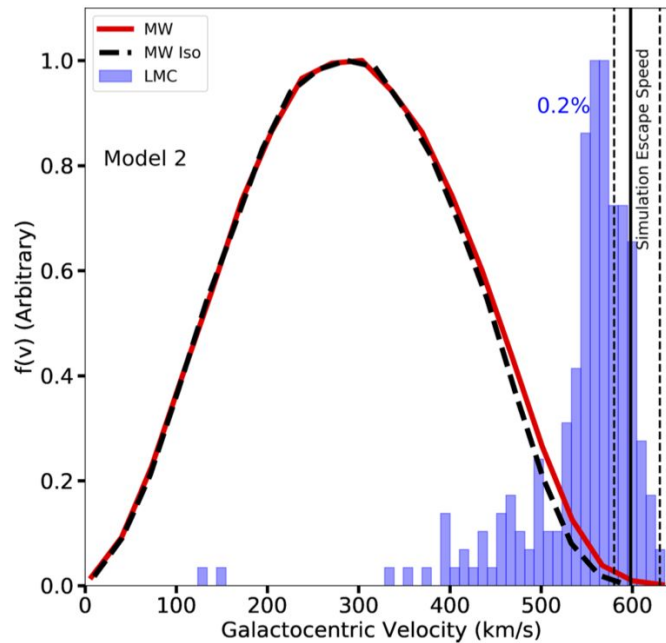
Direct detection is likely to be **more sensitive** to such features.



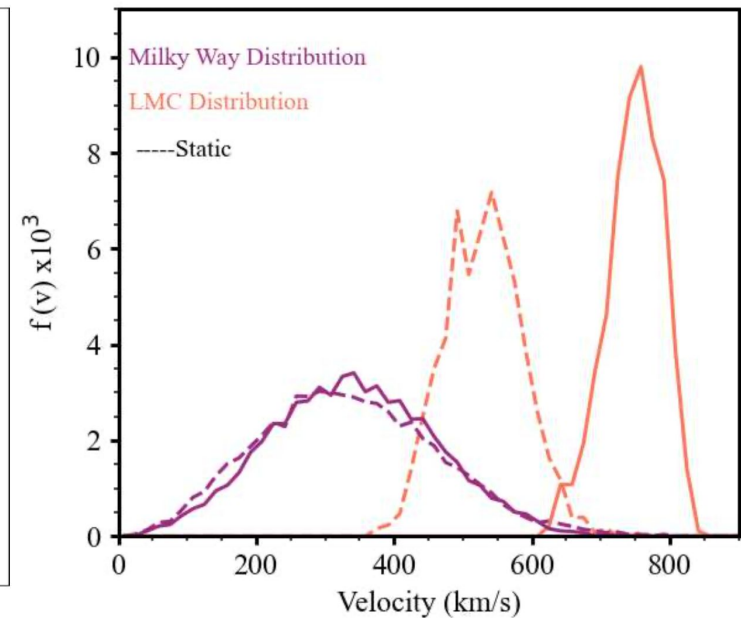
Origin of high velocity particles in the Solar neighbourhood.

Dedicated numerical experiments show that the LMC can be contributing to the local population of DM particles in the high velocity tail.

But its contribution is rather small



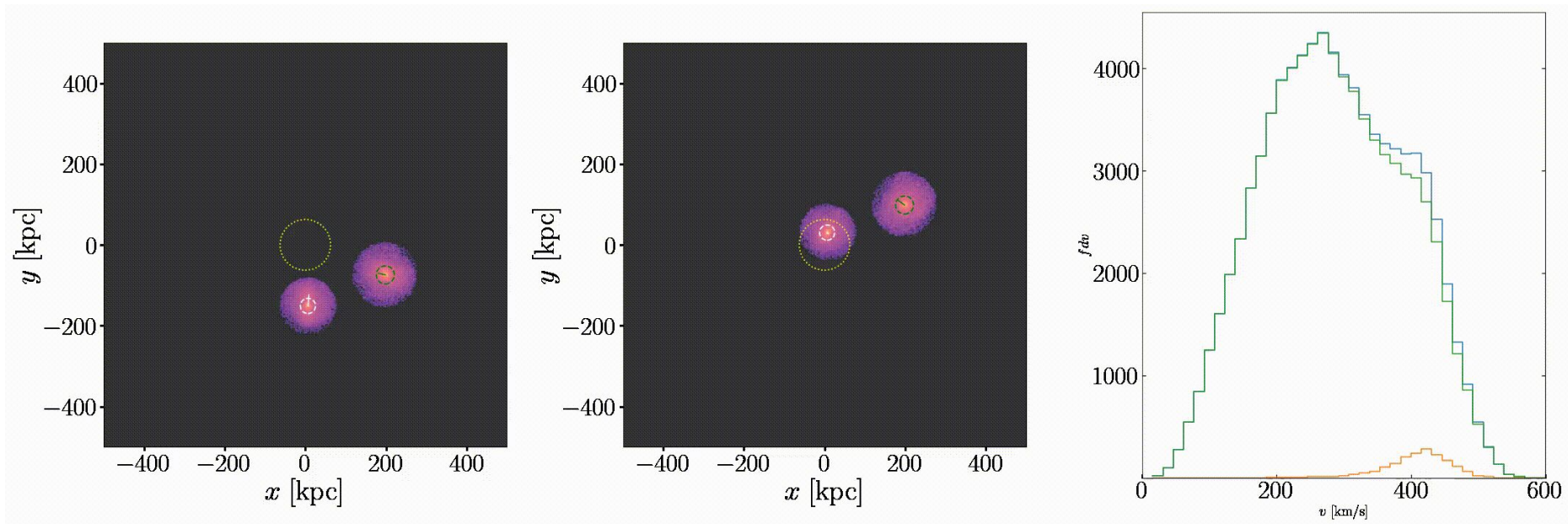
Besla et. al. 2019



Donaldson et. al. 2022

Preliminary

Origin of high velocity particles in the Solar neighbourhood.

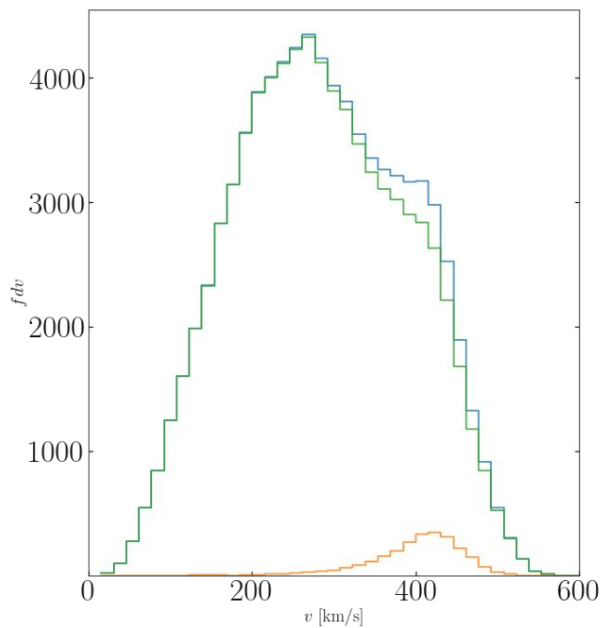


Two subhalos that merge at $z=1.7$ have been identified to contribute to the "bump" in the local f_{dv} . The movie runs from $z=1.7$ to $z=1$

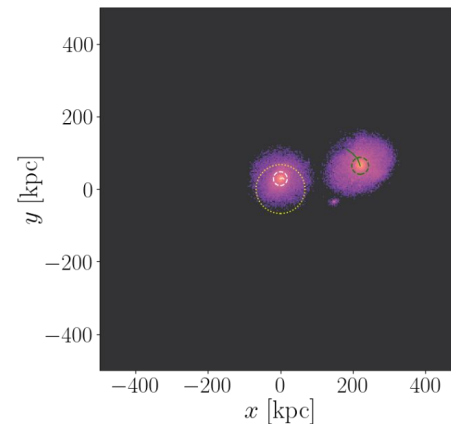
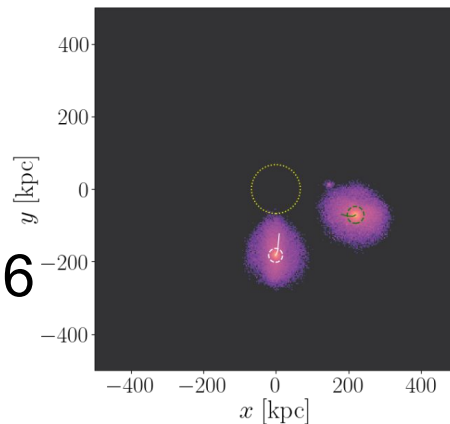
Preliminary

This suggest that even subhalos that merged long time ago can contribute to **the high velocity** tail of the local velocity distribution

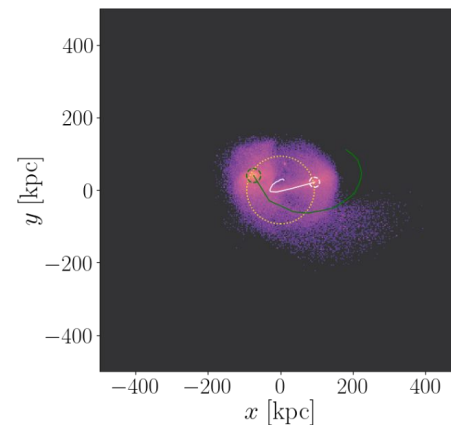
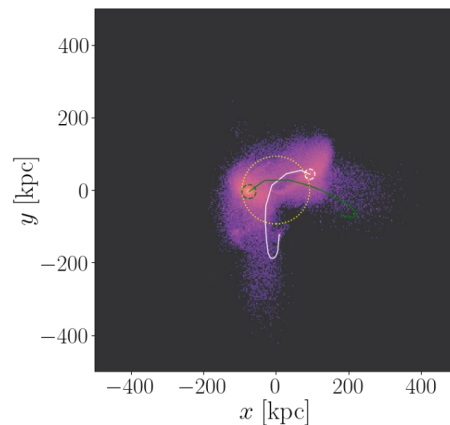
Depending on: orbit? Mass? Merger epoch?



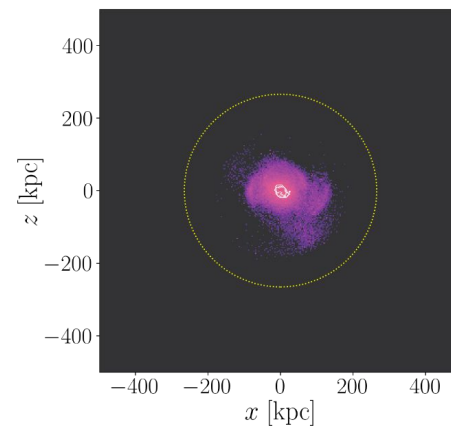
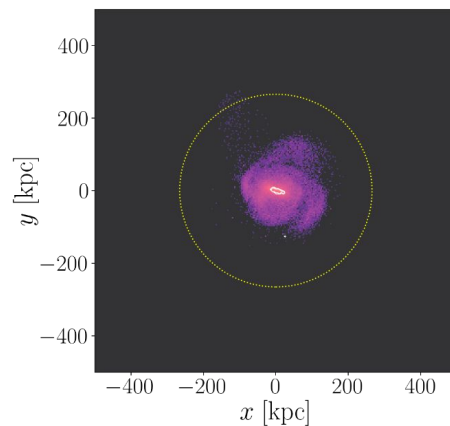
$z=1.6$



$z=1$



$z=0$



$f dv$

Summary

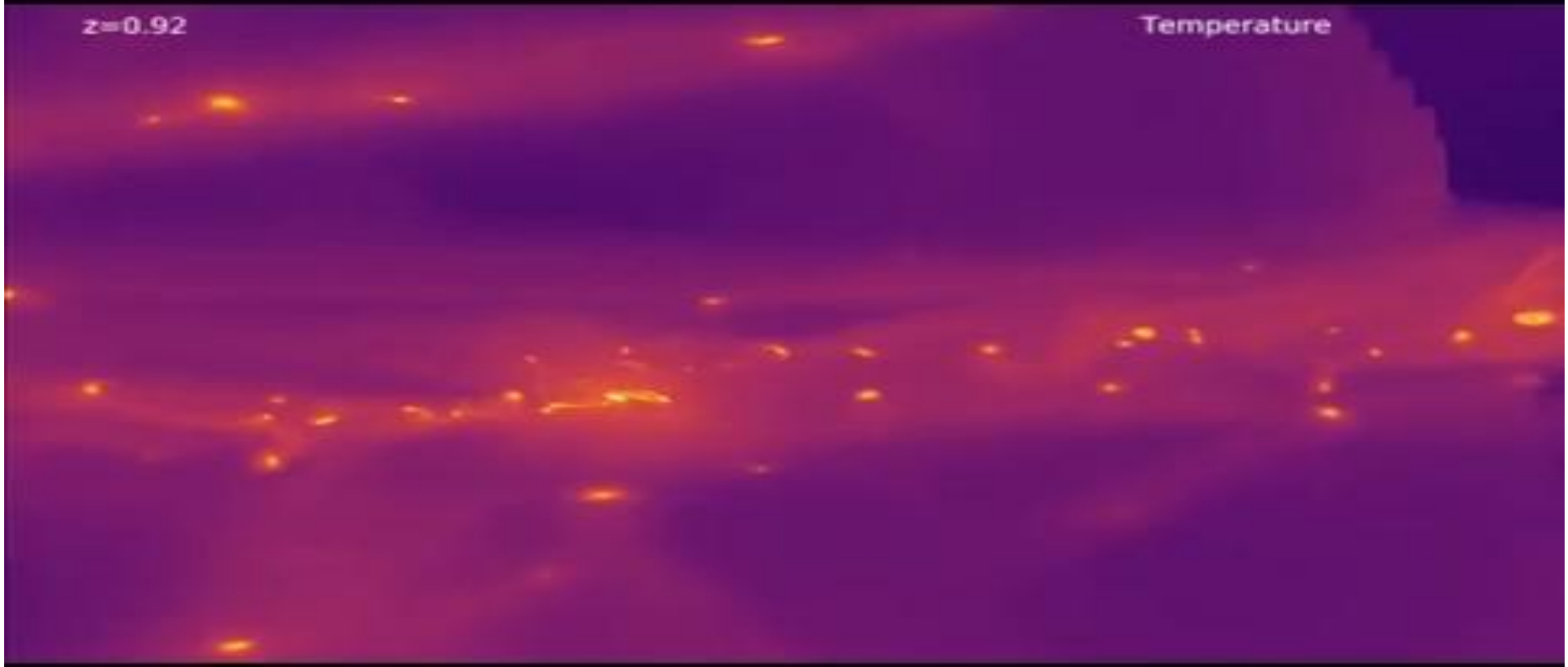
- Cosmological simulations of "MW-analogs" are a powerful tool to understand **DM dynamics**
- **Not without certain issues:**
 - MW-likeness
 - Resolution
 - Baryonic physics

Always ask your local simulator about these aspects

- **DM is affected by the baryonic content** of the galaxy specifically the baryonic **evolution** (SFR, Merger history)
- **The phase space distribution** could have imprints of the merger history of the galaxy providing an advantage to some detection efforts above others. Direct detection for example

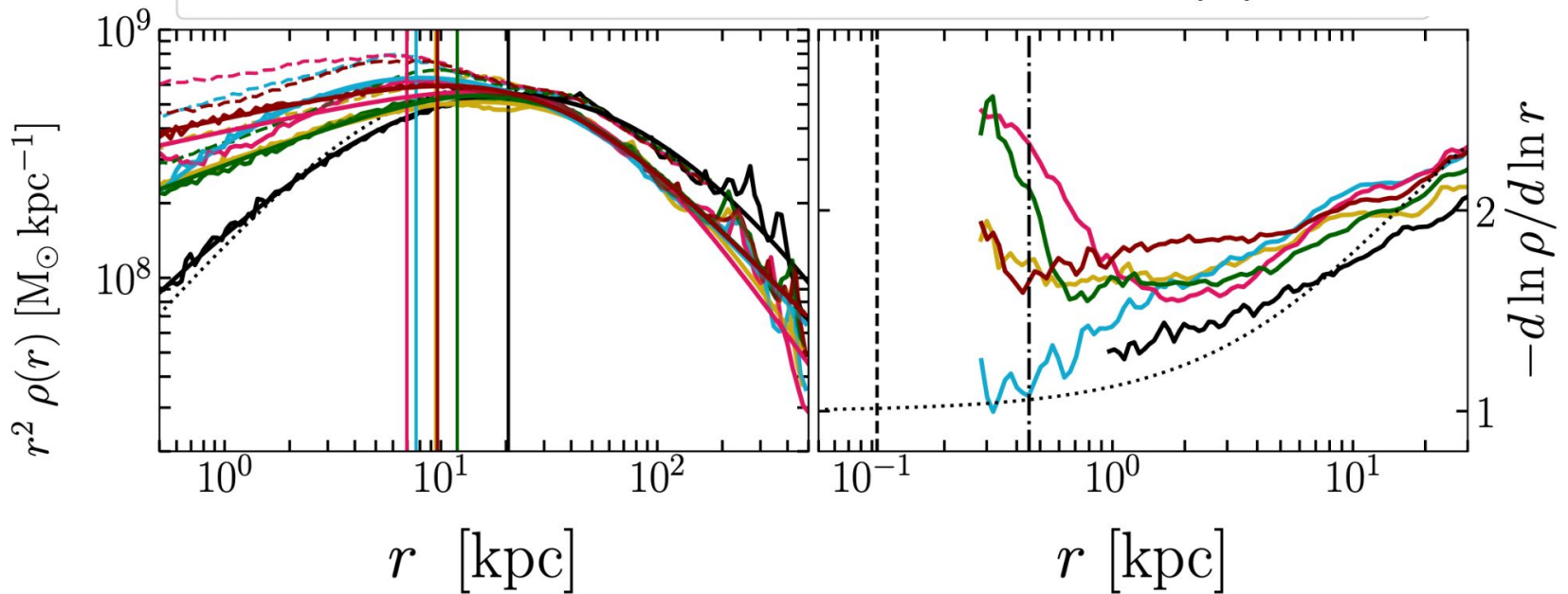
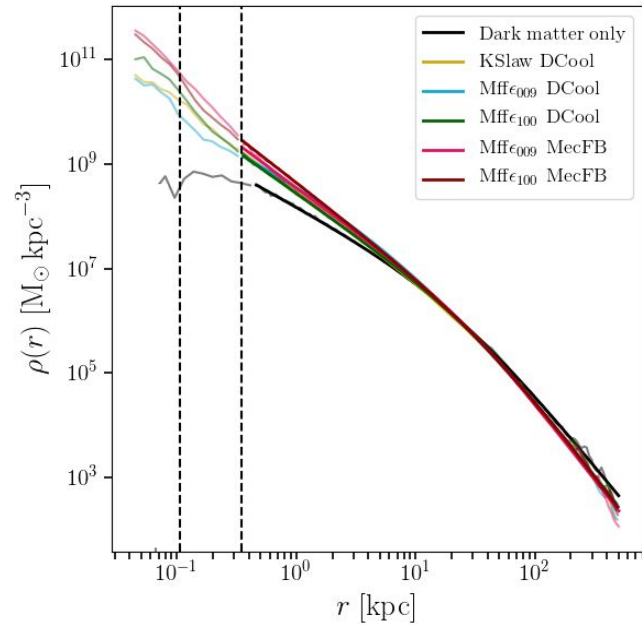
$z=0.92$

Temperature



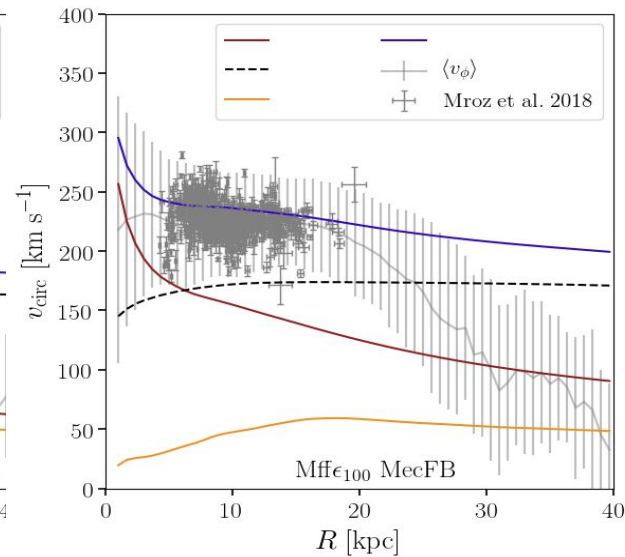
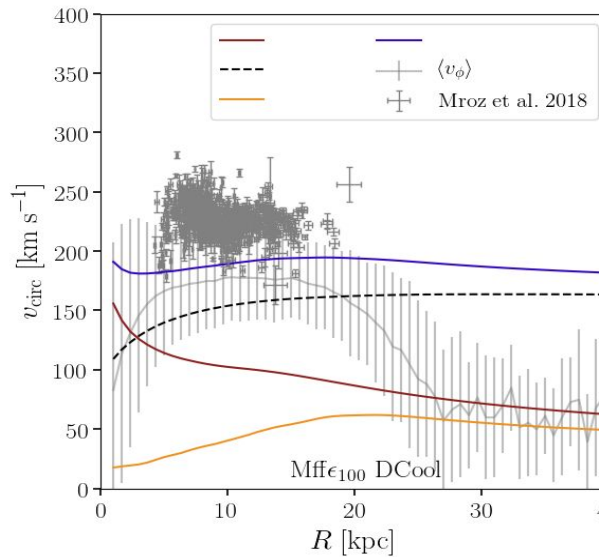
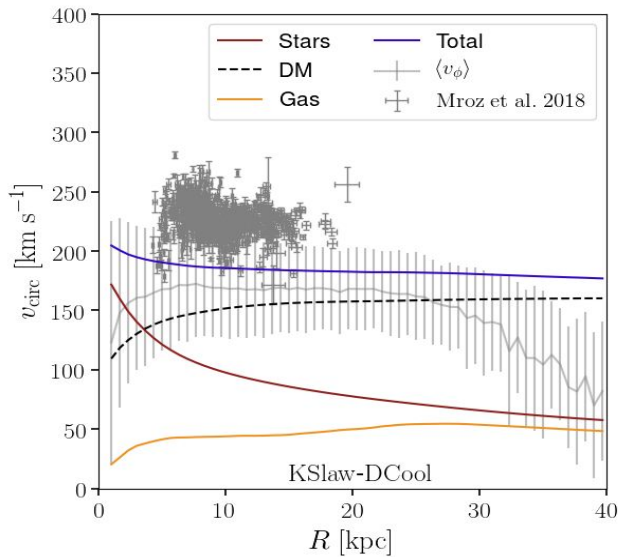
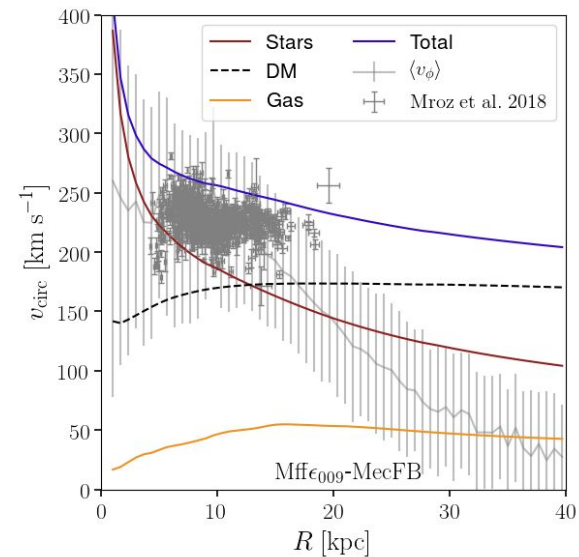
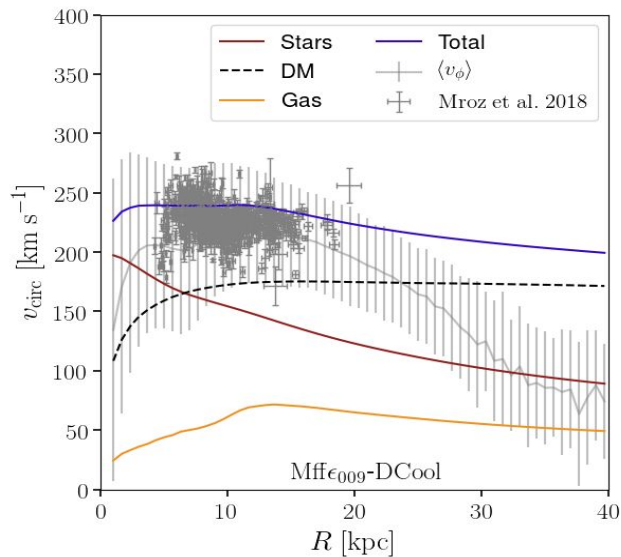
Dark matter distribution

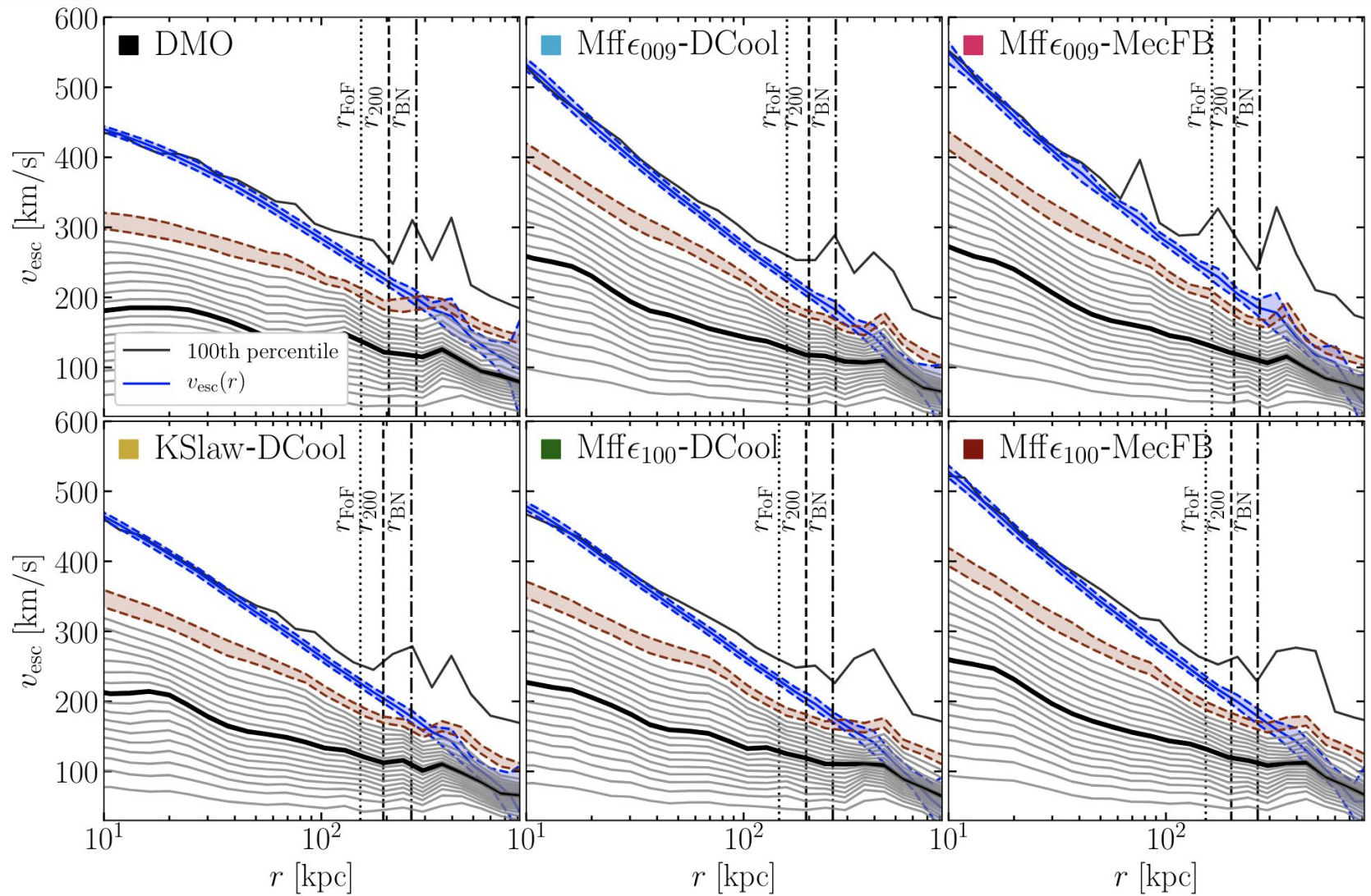
The DM halos are very cuspy.
They suffer adiabatic contraction
which intensities are related to the
bulge size.



Rotation curves

- ⊕ Eilers et al 2018, $5 < R < 25$ kpc
- ⊕ Mroz et al 2019, $4 < R < 18$ kpc
- ⊕ Pato et al 2017, $1.4 < R < 20$ kpc
- ⊕ Huang et al 2016, $4.6 < R < 99$ kpc





The edge of the DM halo: the definition by Bryan & Norman 1998 agrees well with the radius where $v_{\text{esc}} = v_{95\%}$