

# **A high rate fast precision tracking trigger with RPCs**

**R. Cardarelli**

University and INFN Roma Tor Vergata

# Fast precision trigger with ( RPC) for high rate

- Fast precision trigger for high rate requirements :
  - Precision spatial information from the front-end electronics of RPC ( few mm strip pitch and sub-millimeter spatial resolution)
  - Fast trigger decision ( 50 – 200 ns )
  - High noise rejection
  - High performance front-end electronics

# RPC for high rate

- The rate capability of a RPC is limited by the voltage drop ( $V_d$ ) in the resistive electrode
- The voltage drop in the resistive electrode is :

$$V_d = I * R \text{ with :}$$

$I = \text{counting rate} * \text{average charge}$

and

$R = \text{resistivity} * \text{thickness of electrode}$

# Strategy to increase the RPC rate capability

- Decrease the **resistivity** and the **thickness** of the electrode
- Decrease the **average charge** per count

The **ageing** of the RPC is proportional to the current.

The **power** consumption is also a function of the current.

For this reasons we choose to decrease the **average charge** with a high performance **front-end electronics**

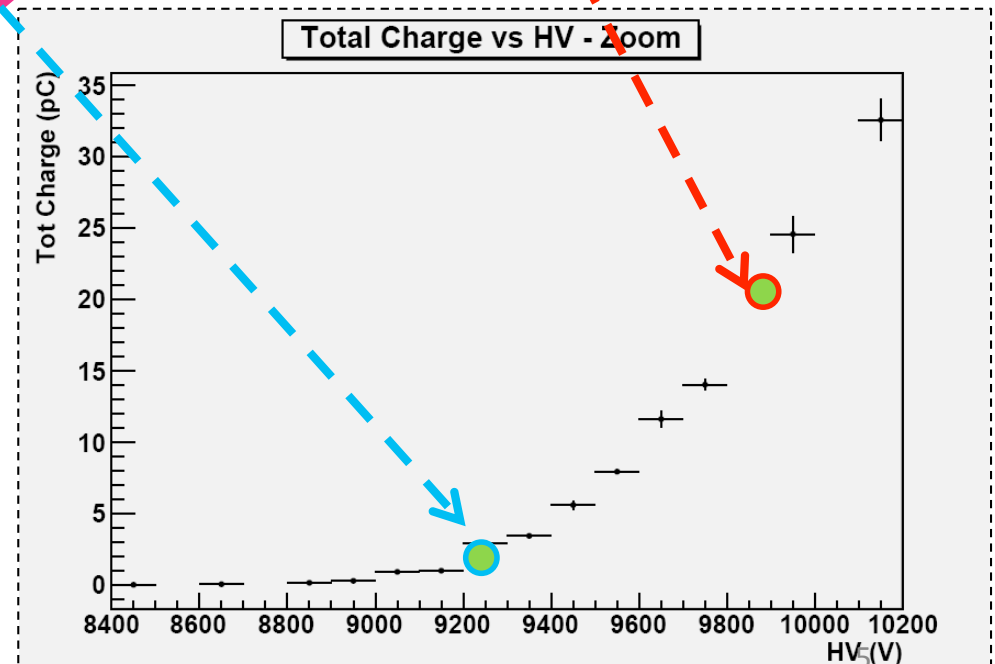
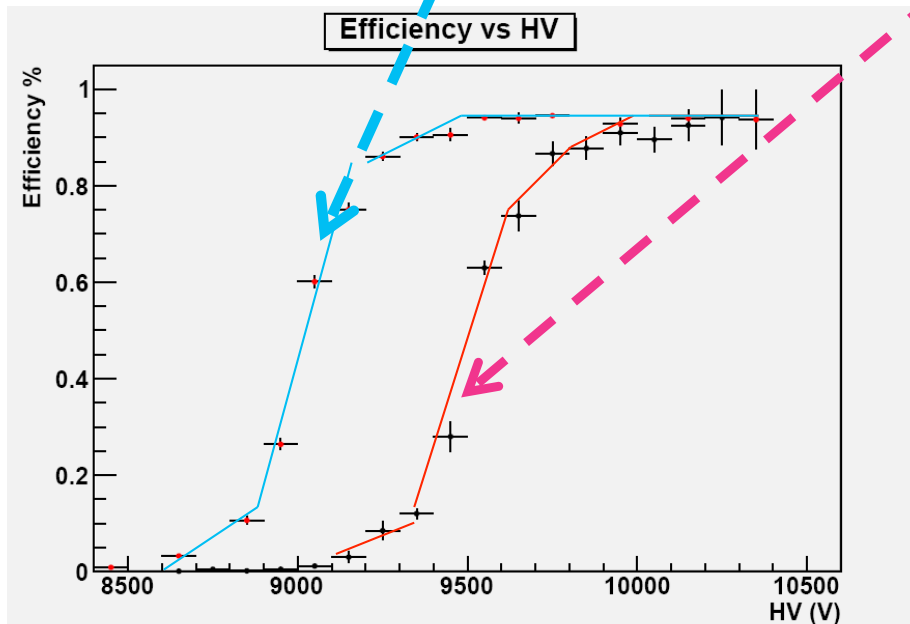
# Efficiency and charge studies with cosmic ray

## New vs present front-end for 2mm gap RPC

- New electronics tested by Roma at GIF
  - Sensitivity **1.5 mV/fC**
  - Noise **2 fC RMS**

- Latch capability **100 pS:**
- B.W. **10 MHz**
- Power consumption **6 mW**
- Vth > **15 mV**
- Qth > **10 fC**
- Tunable input impedance from **a few ohm to 100 Ohm** (maximum)

Atlas like front-end



# BJT Si v.s. SiGe

- BJT performances

- $\beta = \tau_c / \tau_t$

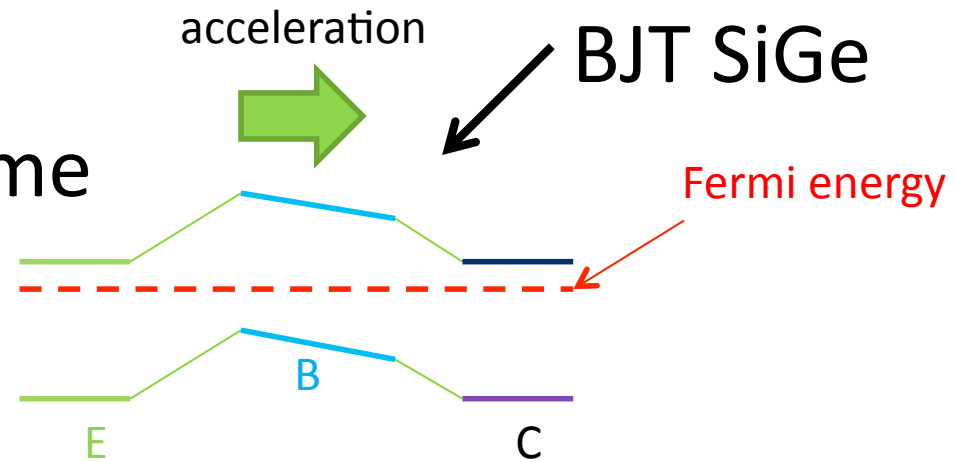
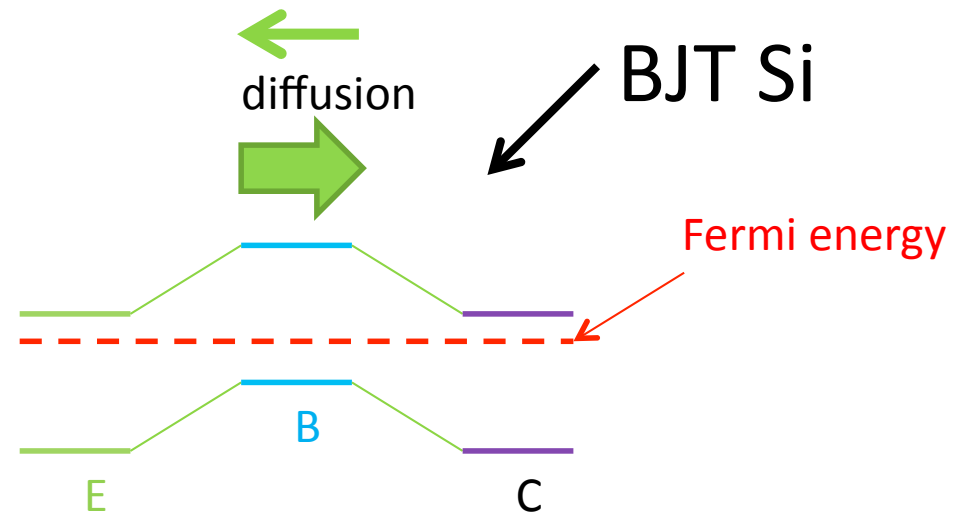
- $f_t = 1 / \tau_t$

- $N = K * \tau_t$

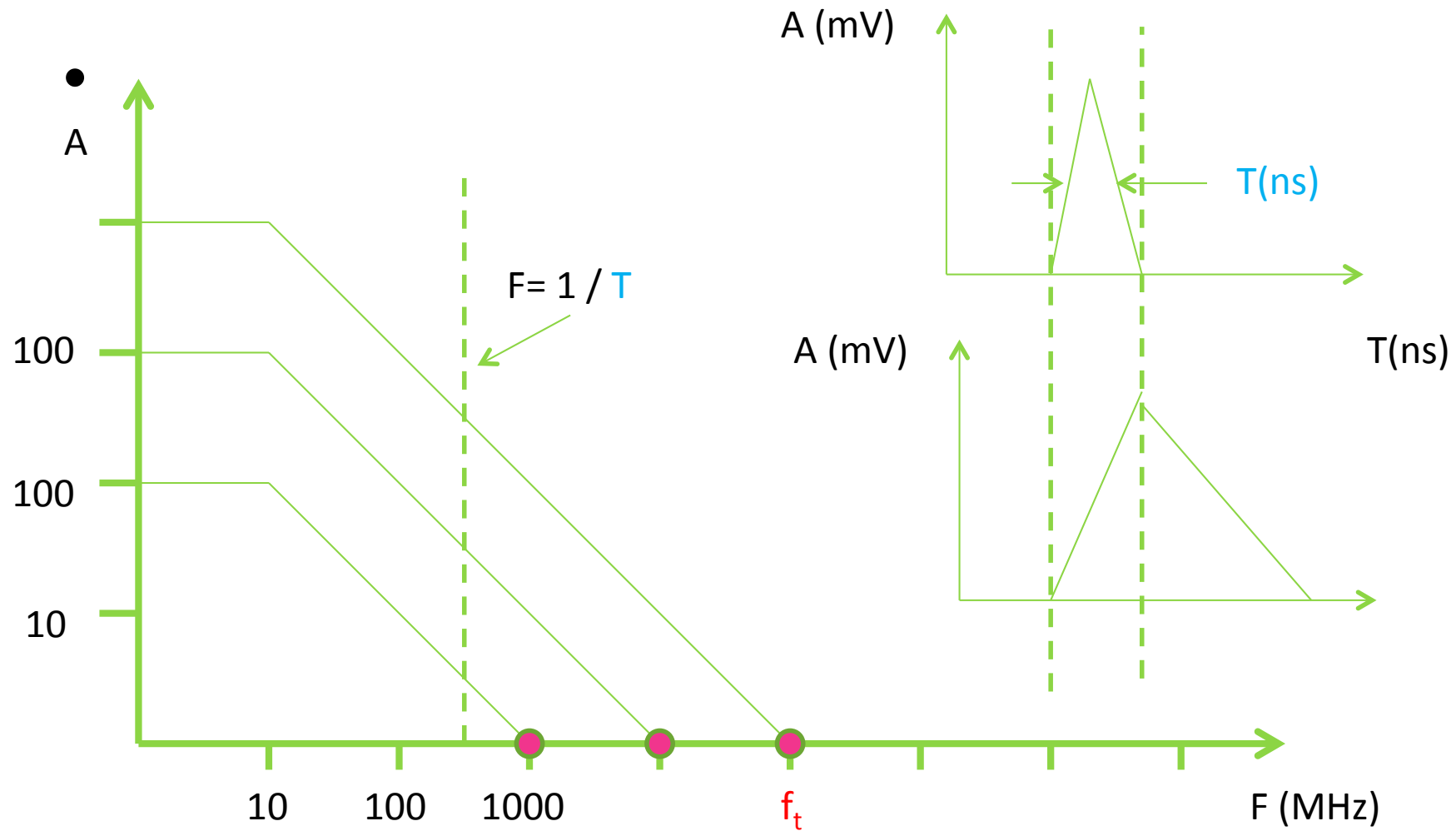
$\tau_c$  = base life time

$\tau_t$  = base transient time

$\tau_t$  (Si)  $\gg$   $\tau_t$  (SiGe)



# Strategy new front-end(SiGe)

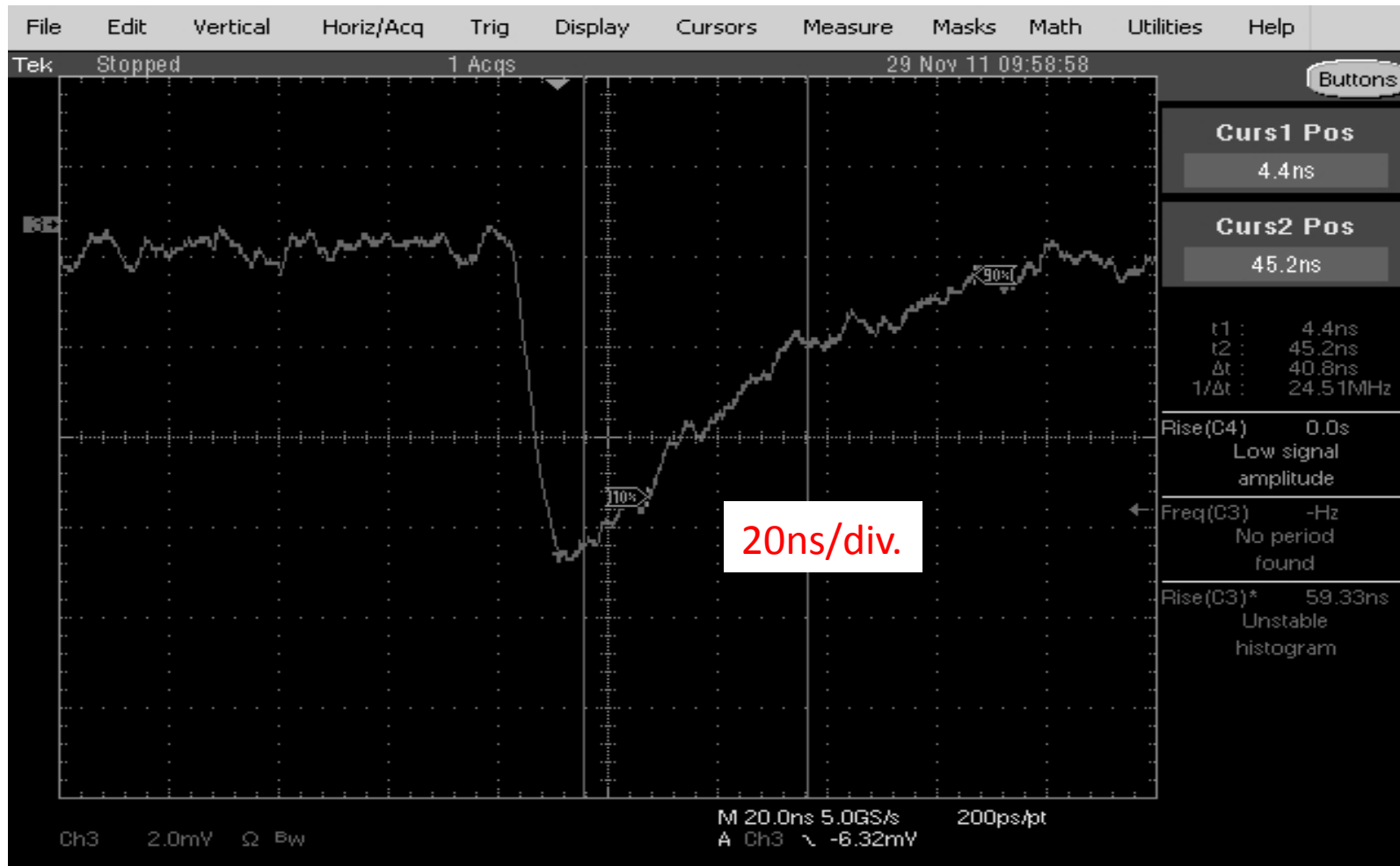


# Amplifier, AC, (BJT SiGe, BFP740)

Voltage supply	3 Volt
• Sensitivity	6 mV/fC
• noise	500 e <sup>-</sup> RMS
• Input impedance	10 - 100 Ohm
• B.W.	30 - 100 MHz
• Power consumption	10 mW/ch
• Low cost	2 – 3 eur./ch
• Rise time $\delta(t)$ input	100 - 300 ps
• Radiation hardness	50 Mrad, $10^{15}$ n cm <sup>-2</sup>



# 1 fC signal with SiGe amplifier

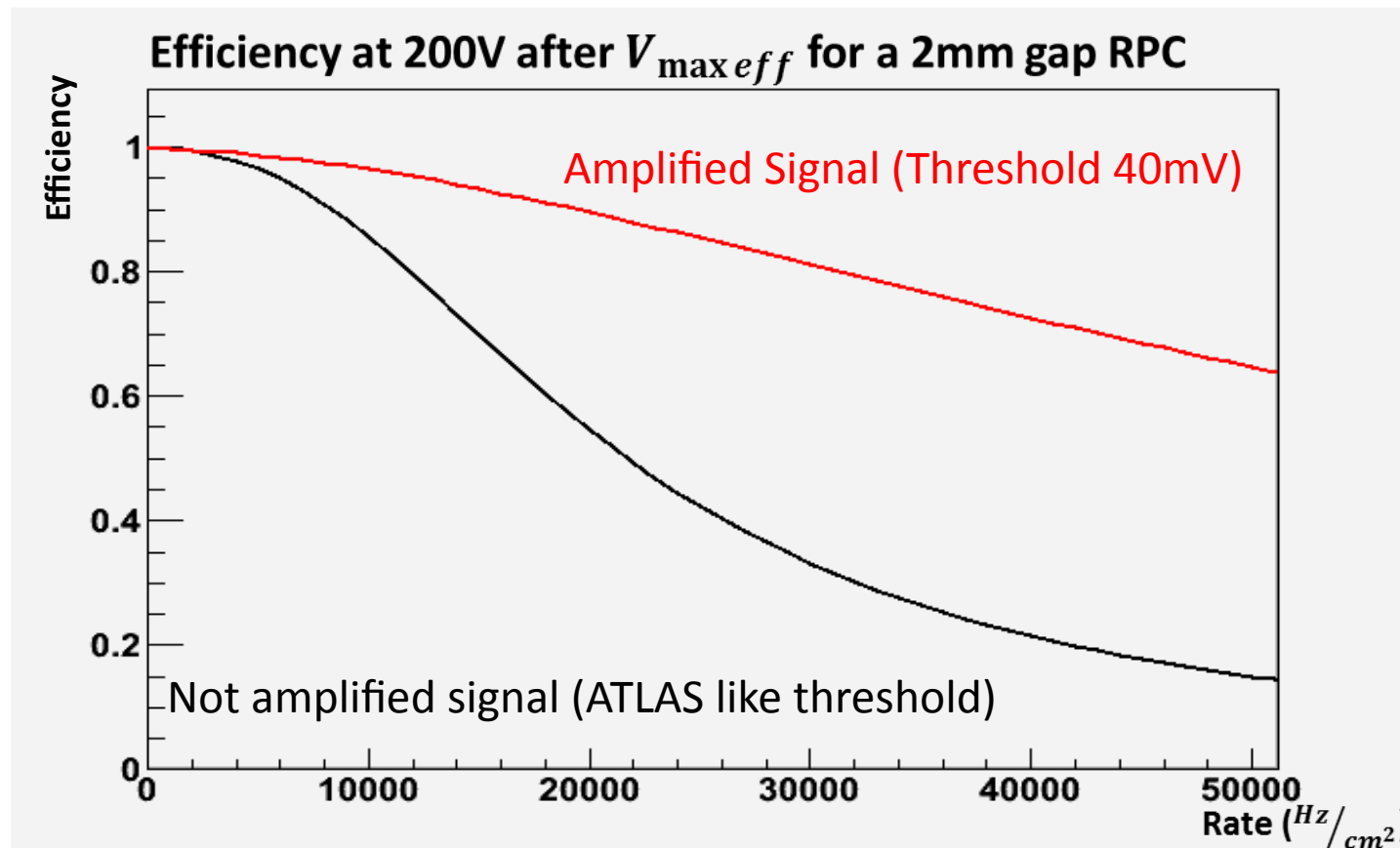


# Simulation of the efficiency at different rates as a function of resistivity and front end electronics [1]

Extracting from experimental data the efficiency and the charge as a function of  $V_{gas}$  and using the relation

$$V_{gas} = V_A - R \cdot I = V_A - \rho \cdot d \cdot \Phi \cdot Q(V_{gas})$$

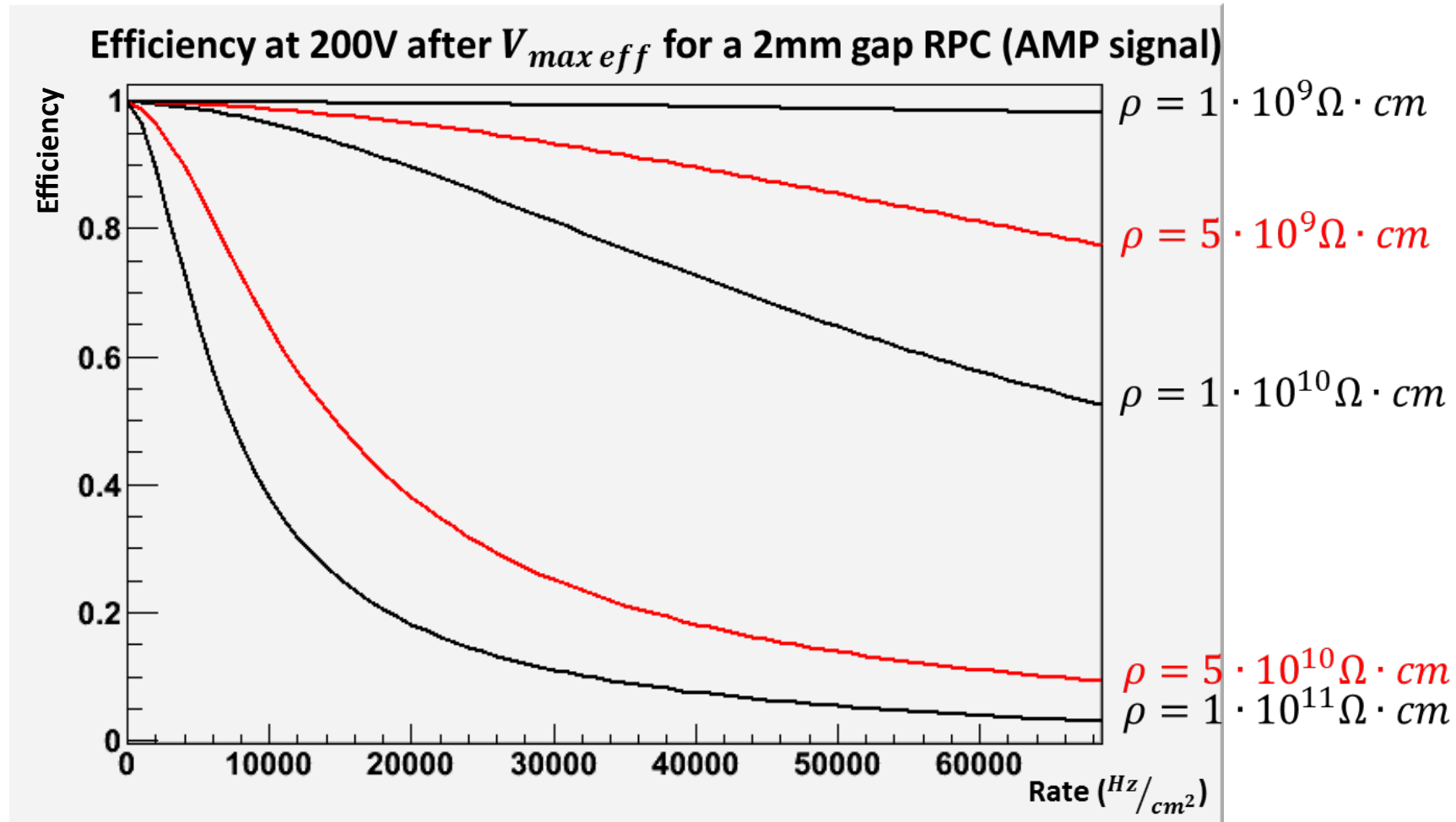
It is possible to simulate the behavior of the RPC at different rates



Resistivity:  
 $1 \cdot 10^{10} \Omega \cdot \text{cm}$

[1] Simulation done by L. Paolozzi using experimental data from a cosmic ray test.

# Simulation of the efficiency at different rates as a function of resistivity and front end electronics [1]



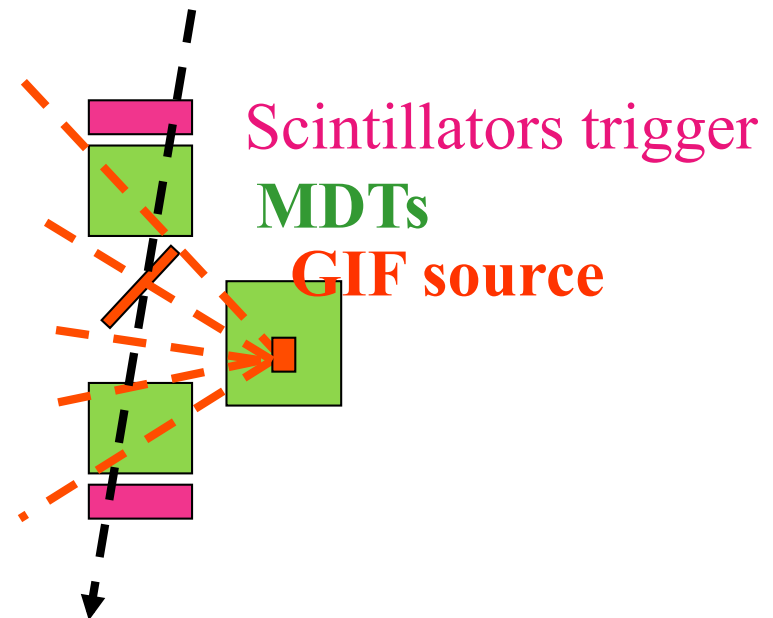
[1] Simulation done by L. Paolozzi using experimental data from a cosmic ray test.

# Rate capability GIF test of RPCs equipped with the new front-end electronics

- MDT-RPC integrated set up
- RPC of 18x18 cm<sup>2</sup> sensitive area with strips of 13 mm pitch
- 2 mm gap, Atlas standard
- New front end electronics
- Atlas gas mixture
- Rate capability increased above 7 kHz/cm<sup>2</sup> (limited by the GIF intensity) with very modest voltage shift
- Further improvements foreseen

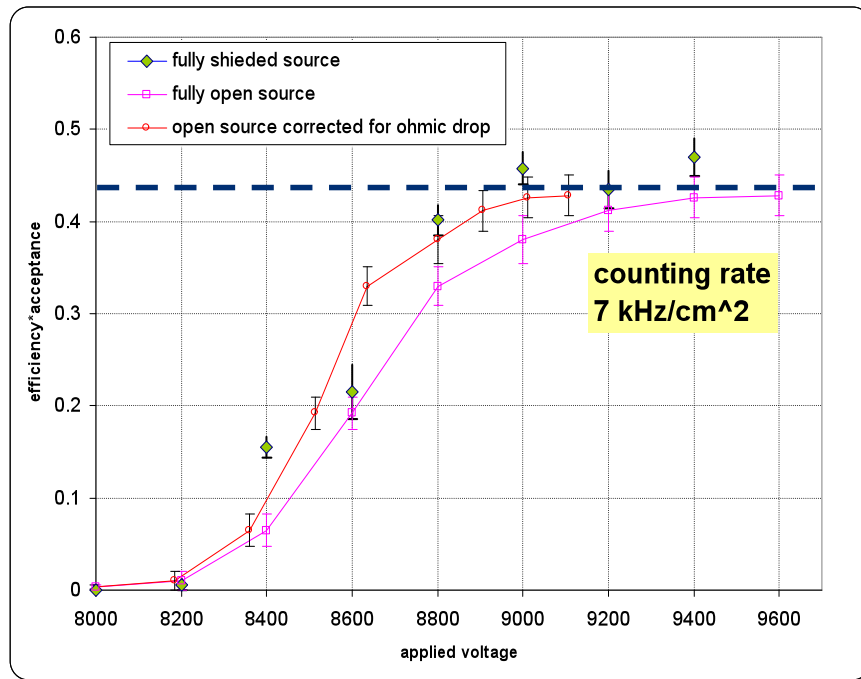
**RPC rate = 7 kHz/cm<sup>2</sup>**

from about  $1.4 \times 10^6$  gamma cm<sup>-2</sup> s<sup>-1</sup>

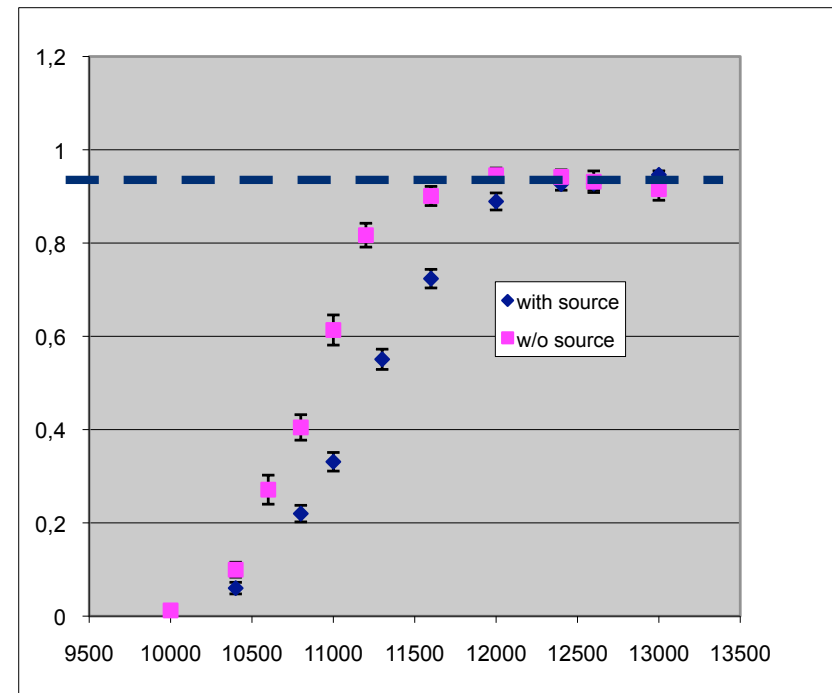


# Efficiency \* acceptance at closed and full source with new front-end

## mono gap 2 mm



## Bigap 1+1 mm



# Strategy for fast spatial information

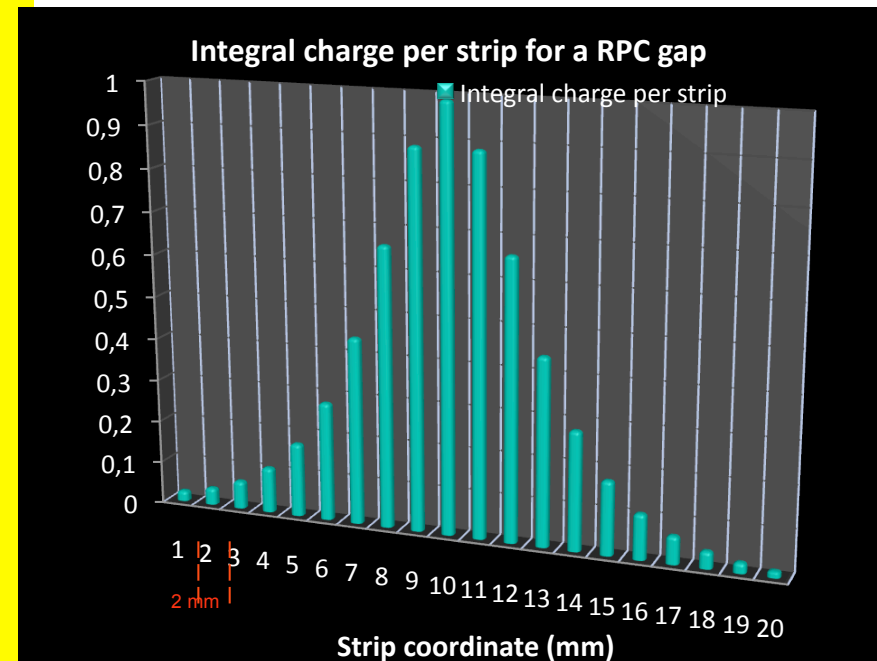
- Decrease the pitch of the strips
- Minimize the distance from strip and gas gap

For a strip pitch as small as 2mm the physical cluster size tends to increase and a very fast way to find the cluster center is needed at the trigger level

- This task is accomplished by a purposely developed **Maximum Selector** circuit

# RPC based fast trigger scheme

- The RPC charge distribution among contiguous strips is given by well known relationships which in principle allows a spatial resolution of the order of 100 micron based on the classical charge centroid
- However the required calculation time would be incompatible with the requirement of a very fast trigger
- An alternative method is to select the maximum of the distribution with an appropriate circuit
- A general satisfactory solution of this problem requires to focus the following points
  - If two (or more) strips are near to the maximum the second maximum has also to be selected
  - **The large amplitude variability requires to normalize the charge distribution**
- CC



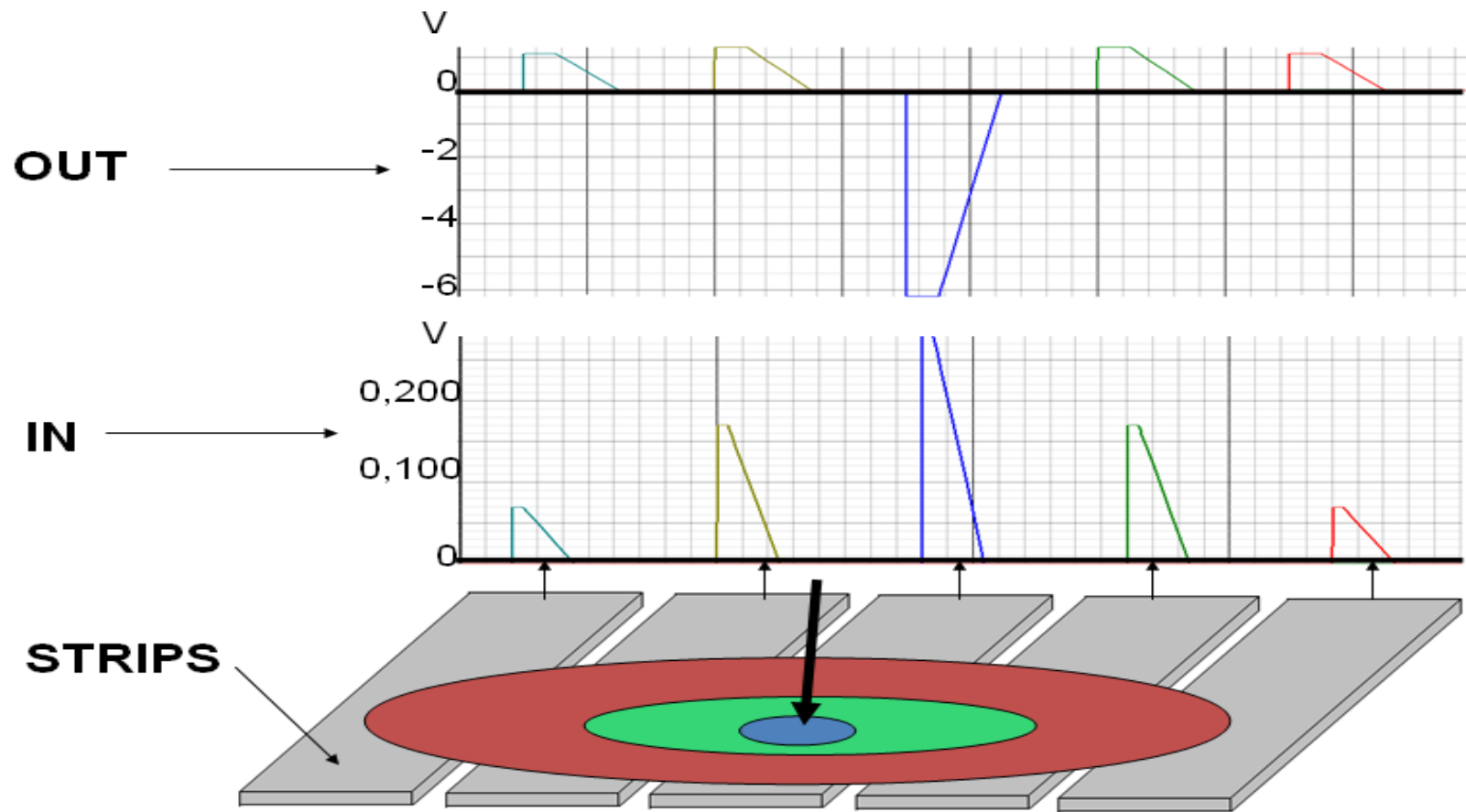
$$\sigma(x, \bar{x}) = \frac{A}{\cosh[(x - \bar{x})/\delta]}$$

⇒ integrating over each strip

$$Q_i = \int_{x_1}^{x_2} \frac{A}{\cosh[(x - \bar{x})/\delta]} dx$$

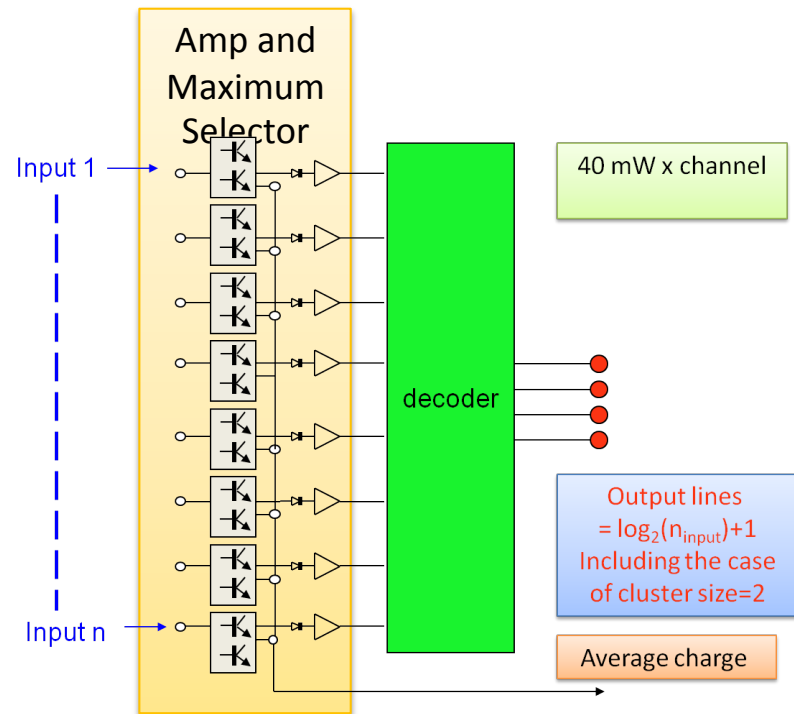
$$= A\delta \cdot \operatorname{arctg} \left[ \left( e^{(x-\bar{x})/\delta} \right) \right]_1^2$$

# Charge spot on the pick up plane



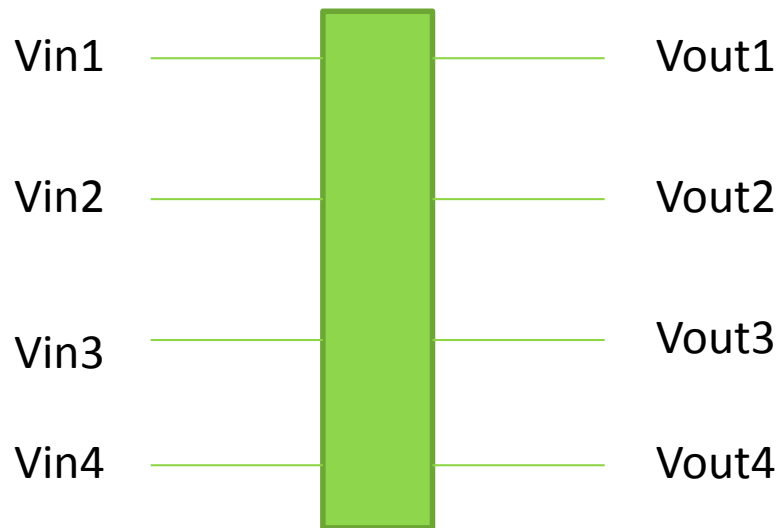


# Maximum Selector



- $N$  strips are processed at the same time ( $N$  can vary reasonably in the range of  $\sim 10$ )
- The threshold is chosen to have one or two strips firing (cluster size 1 or 2)
- The decoder transforms the simple digital pattern into a number representing the hit coordinate on the chamber
- The processing time of **(7-10 ns)** is highlighted in figure

# MS working principle (4 ch as an example)



$$V_{out1} = (((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K - V_{in1}) * G$$

$$V_{out2} = (((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K - V_{in2}) * G$$

$$V_{out3} = (((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K - V_{in3}) * G$$

$$V_{out4} = (((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K - V_{in4}) * G$$

IF  $V_{in} > ((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K$   
 $V_{out} < 0$

IF  $V_{in} < ((V_{in1} + V_{in2} + V_{in3} + V_{in4}) / 4) * K$   
 $V_{out} > 0$

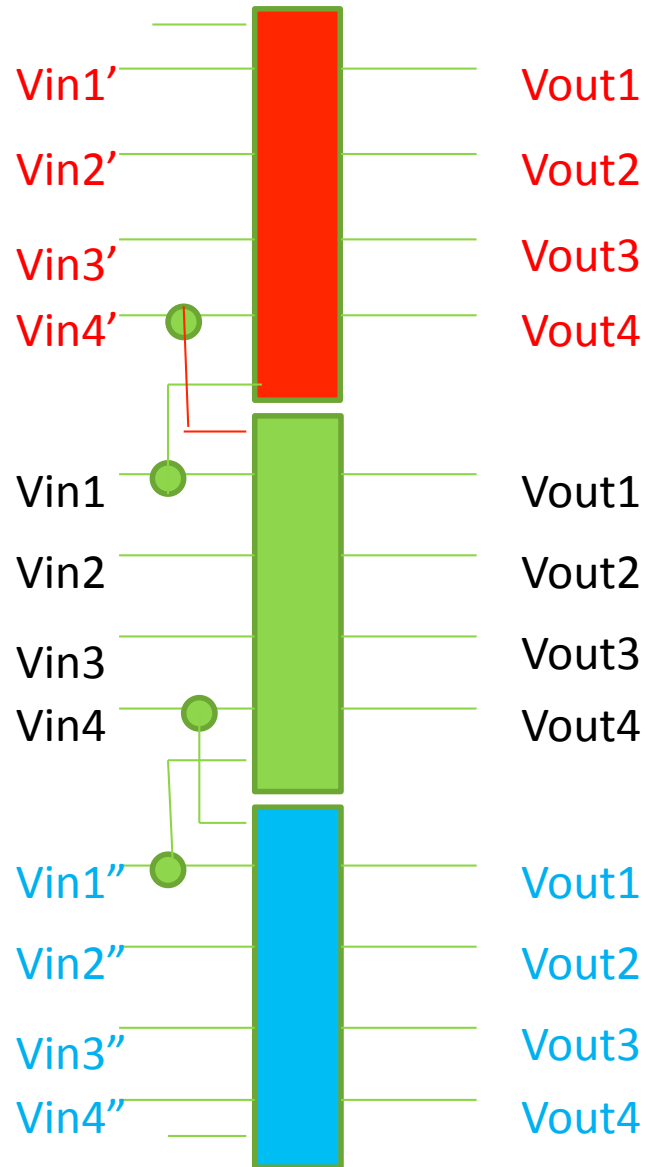
$$0 < K < 2$$

$$G > 1$$

K = relative threshold (cluster size tuning)

G = Amplifier gain

# solution of the MS contiguity problem



$$V_{out1} = (((V_{in4'} + V_{in1} + V_{in2} + V_{in3} + V_{in4} + V_{in1''}) / 6) * K - V_{in1}) * G$$

$$V_{out2} = (((V_{in4'} + V_{in1} + V_{in2} + V_{in3} + V_{in4} + V_{in1''}) / 6) * K - V_{in2}) * G$$

$$V_{out3} = (((V_{in4'} + V_{in1} + V_{in2} + V_{in3} + V_{in4} + V_{in1''}) / 6) * K - V_{in3}) * G$$

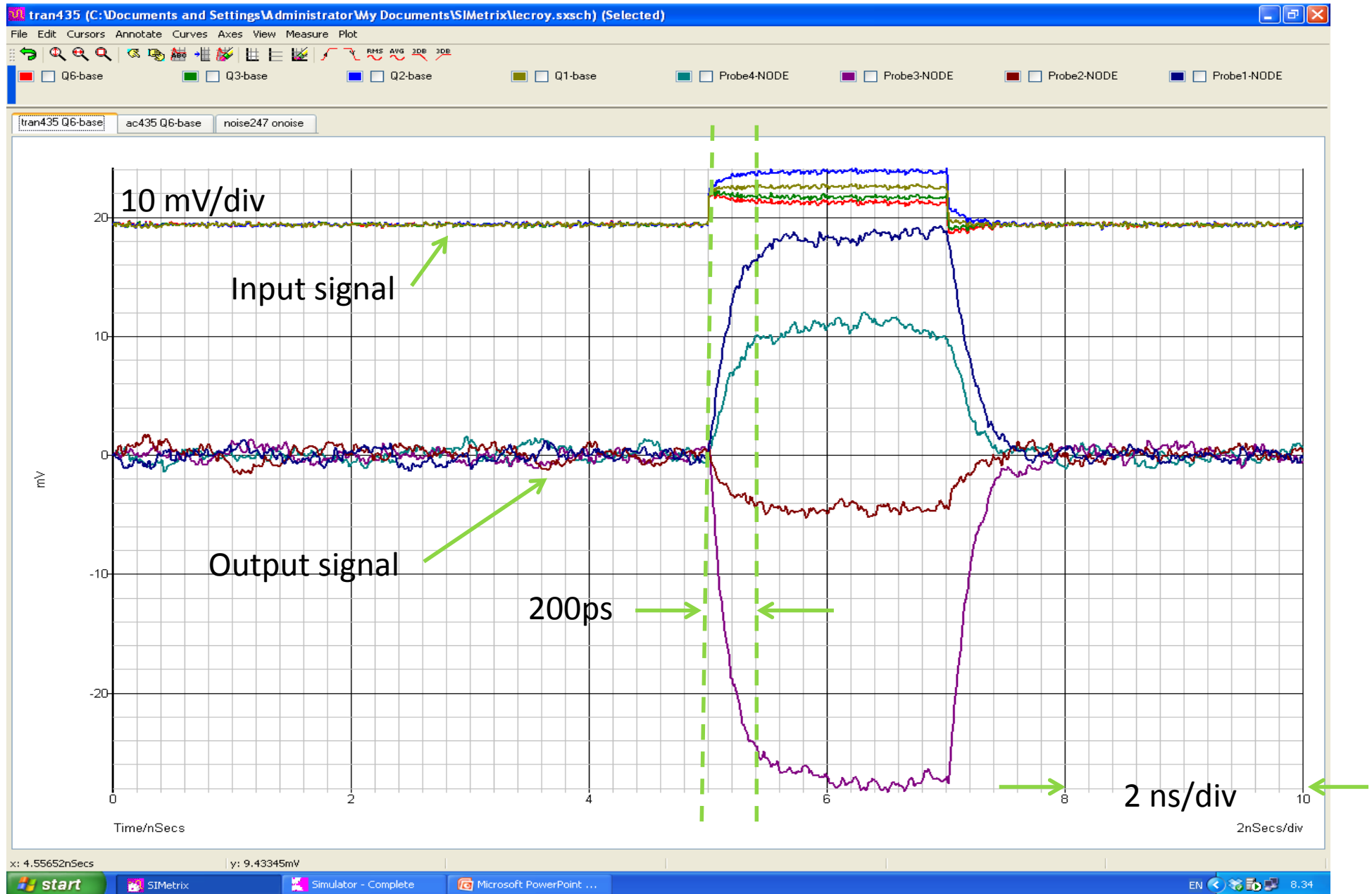
$$V_{out4} = (((V_{in4'} + V_{in1} + V_{in2} + V_{in3} + V_{in4} + V_{in1''}) / 6) * K - V_{in4}) * G$$

$$0 < K < 2$$

$$G > 1$$

# Analog simulation of Maximum Selector

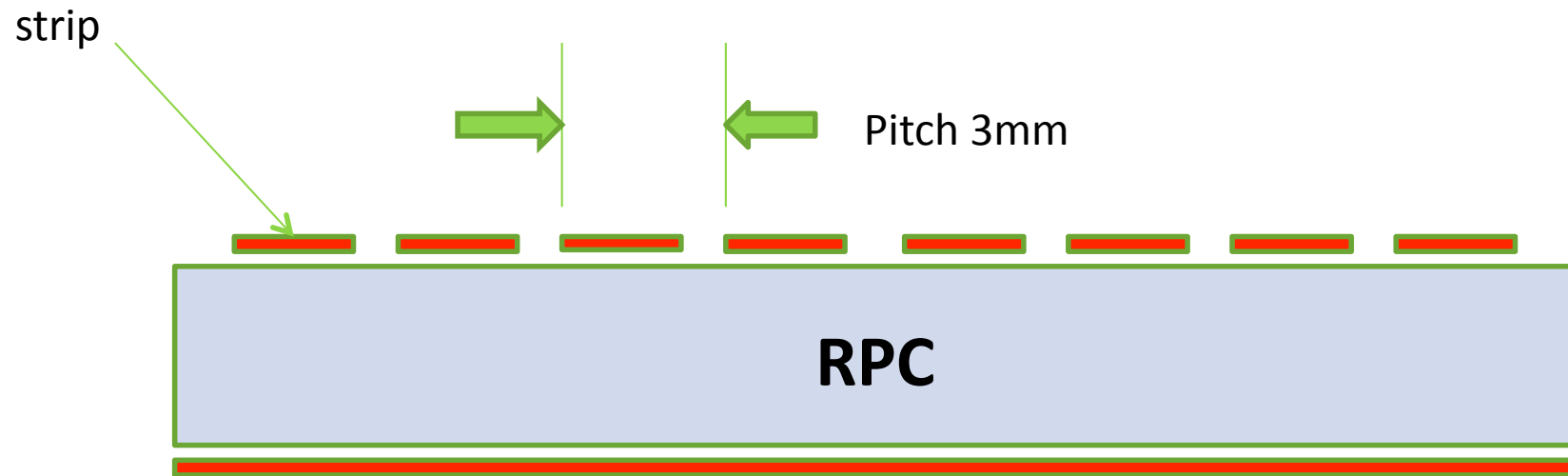
$V_{cc}=3V$   $V_{ee}=-3V$  Power Consumption=9mW/ch



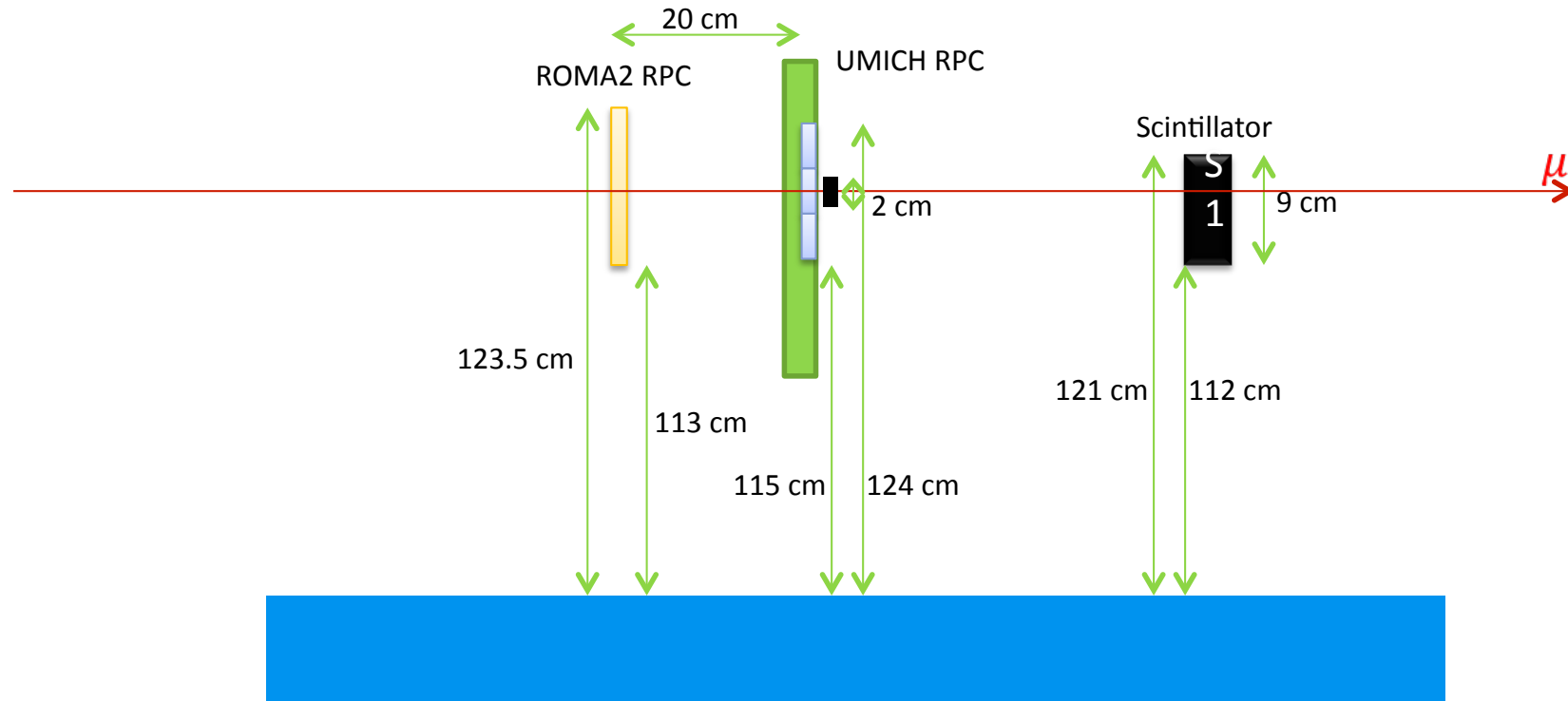
# Maximum Selector features

- **0.1-500 mV** input
- **0.4 mV** output noise RMS;  $G = 8$ ;  $BW = 2$  GHz
- 6 inputs – 4 outputs
- **50 ohm** input impedance
- **200 ps** computing time
- **10 mW/ch** power consumption
- 
- Radiation hardness **50 Mrad,  $10^{15}$  n cm<sup>-2</sup>**

# Test of a precision spatial information from the front-end electronic of RPC ( 3mm pitch)



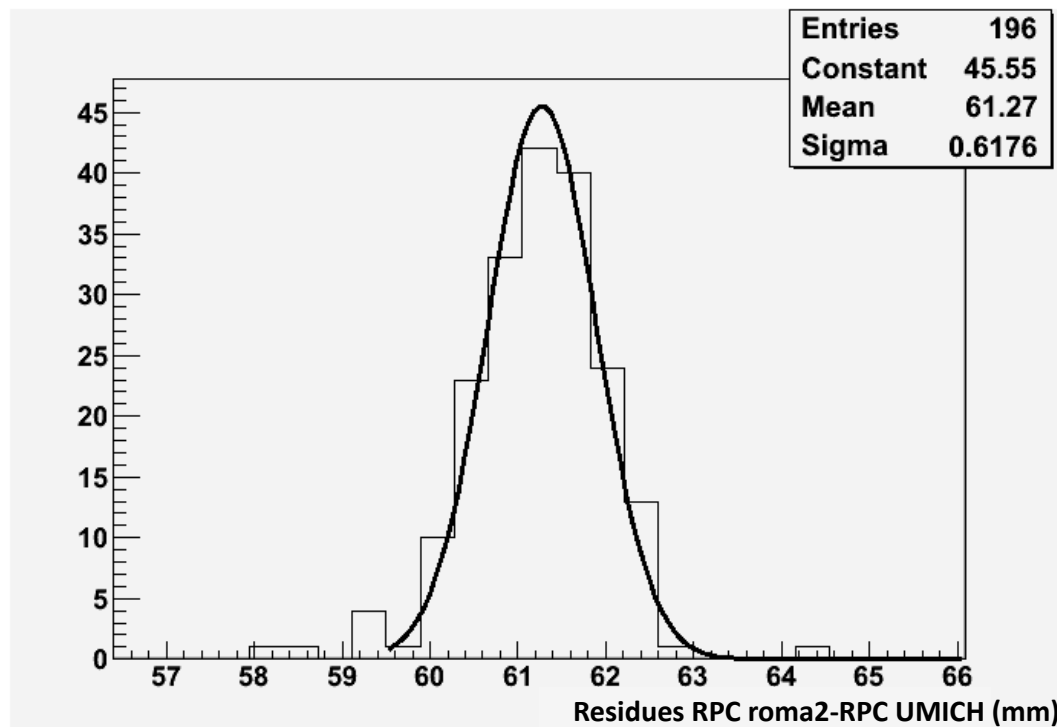
# H8 10/2011: Test Beam layout (RPC only)



Track average angular spread was measured in a previous run using sMDT.

# Test Beam results: spatial resolution with **Maximum Selector** (Preliminary)

Residues between Roma 2 RPC and UMICH RPC using maximum selector with cluster size information



Strip pitch: 3mm

Expected resolution achievable using cluster size information:

$$\sigma_s \geq \frac{3mm}{2\sqrt{12}} = 0.43mm$$

UMICH RPC (pitch 1.27mm)  
position vs ROMA 2 RPC position  
(assuming zero beam divergence)

**Resolution achieved (preliminary):**  
 $\sigma_s = 0.62mm$

Raw data, **to be corrected for:**

. UMICH RPC resolution:

$$\sigma_{UMICH} \leq 0.37mm$$

. Beam divergence:

2 gaussian distributions

70% events,  $\sigma_1 = 0.14mm$

30% events,  $\sigma_2 = 0.60mm$



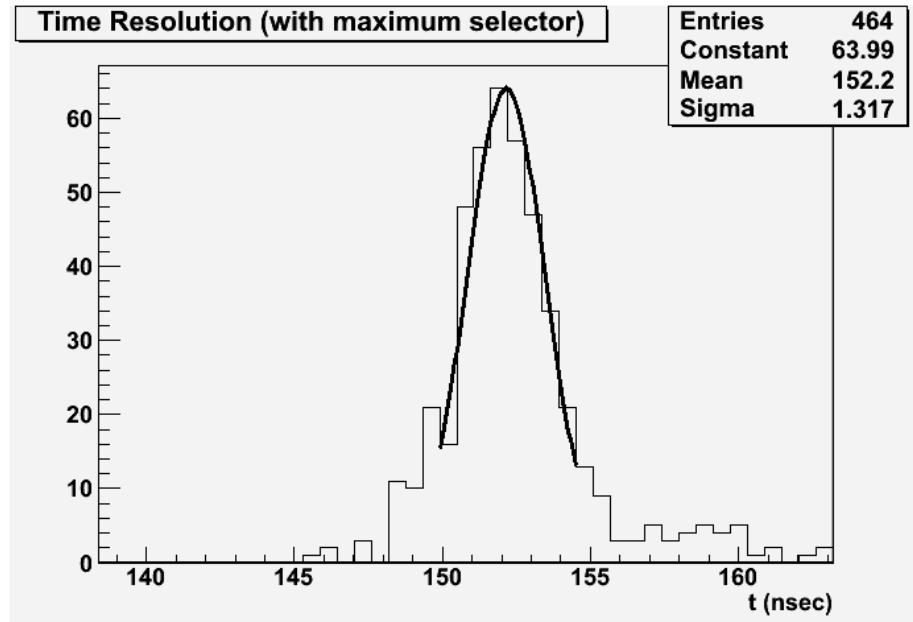
# Strategy for high rejection of both correlated and in correlated background

- decrease **the width of the coincides**
- Increase the **time resolution**
- Increase the **spatial resolution**

For those reasons the need to **decrease the gas gap** as much as possible and **rise time of the front-end** as short as possible.

# RPC time resolution with **M**aximum **S**elector

Time resolution no cuts



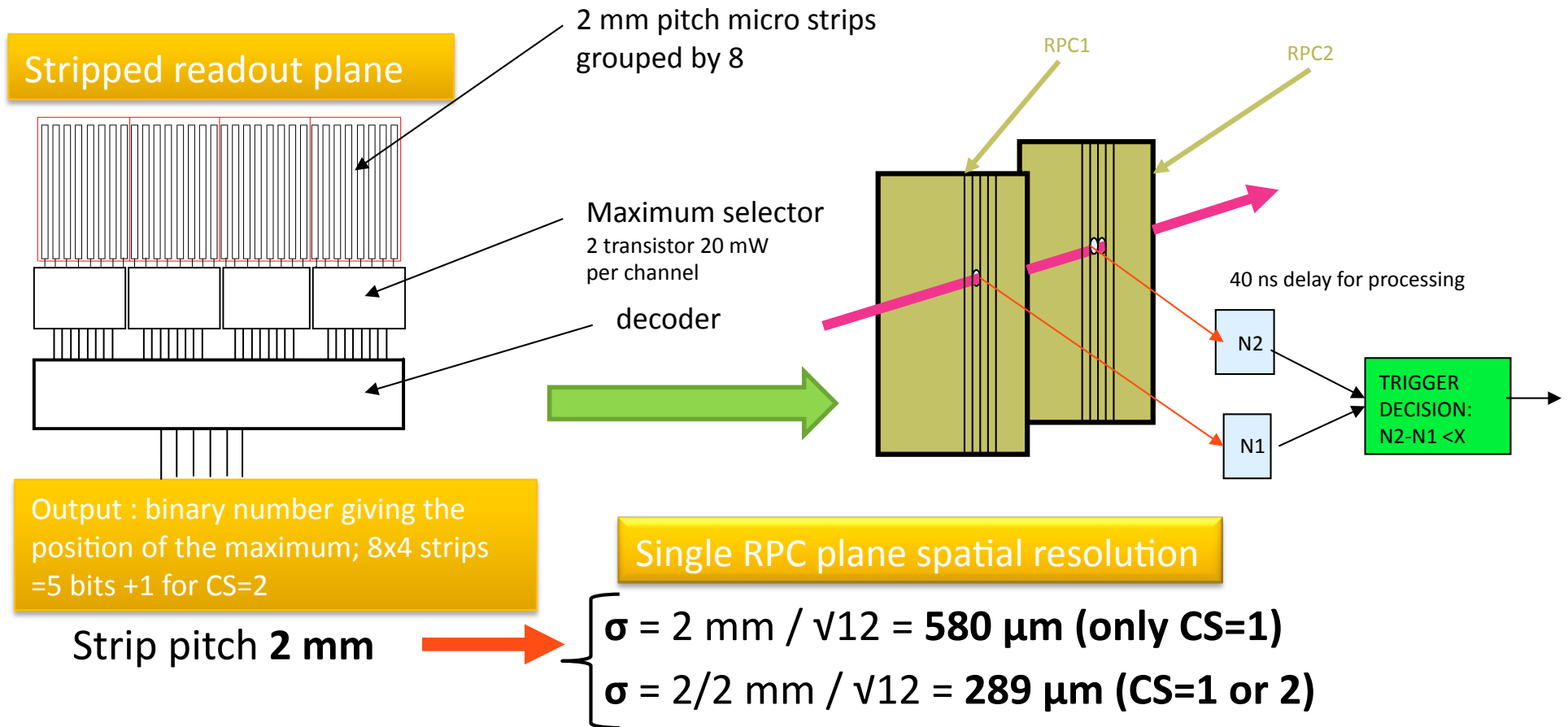
. Hit position extrapolated by charge centroid on UMICH RPC (tracks are considered as parallel)

**Time Resolution: 1.3 nsec**

Raw data to be corrected for:

- Mezzanine rise time correction
- Deconvolution of the scintillator jitter

# Readout and trigger scheme example



# Conclusions

- We have realized the front-end electronic for RPC working at **high rate** ( up to **10 kHz/cm<sup>2</sup>**)
- The prompt (few nanosecond) spatial resolution of **0.5 mm** is achieved with **Maximum Selector**
- We have shown the scheme of a very fast and high precision trigger at high rate with RPC