Overview of Dark Sector physics

Maxim Pospelov U of Minnesota and FTPI

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Feebly-Interacting Particles: FIPs 2020 Workshop Report

P. Agrawal¹, M. Bauer^{2,a}, J. Beacham^{3,a}, A. Berlin⁴, A. Boyarsky⁵, S. Cebrian⁶, X. Cid-Vidal⁷, D. d'Enterria³, A. De Roeck^{3,a}, M. Drewes⁸, B. Echenard⁹, M. Giannotti¹⁰, G. F. Giudice^{3,a}, S. Gninenko¹¹, S. Gori^{12,13}, E. Goudzovski¹⁴, J. Heeck¹⁵, P. Hernandez^{16,a}, M. Hostert^{24,25,38}, I. Irastorza^{6,a}, A. Izmaylov¹¹, J. Jaeckel^{17,a}, F. Kahlhoefer¹⁸, S. Knapen^{3,b}, G. Krnjaic^{19,20,a}, G. Lanfranchi^{21,a,b,*}, J. Monroe^{22,a}, V. Martinez-Outschoorn²³, J. Lopez-Pavon¹⁶, S. Pascoli^{2,39,a}, M. Pospelov^{24,25}, D. Redigolo^{3,26,b}, A. Ringwald²⁷, O. Ruchayskiy²⁸ J. Ruderman^{4,27,a}, H. Russell³, J. Salfeld-Nebgen²⁹, P. Schuster^{30,a}, M. Shaposhnikov^{31,a}, L. Shchutska³¹, J. Shelton^{32,a}, Y. Soreq³³ Y. Stadnik³⁴, J. Swallow¹⁴, K. Tobioka^{35,36}, Y.-D. Tsai^{23,37}

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Plan for 3 lectures

- 1. Introduction. The need for new physics. Types of particle d matter. Portals to new Physics. Phenomenology of particle matter in broad strokes.
- 2. Freeze-in dark matter. Light dark sectors. Axions.

DS

^{3.} Search for DM in laboratory experiments. Beam experiments (colliders, beam dumps, intensity frontier). Direct detection underground. Blind spots for direct detection.

SM as an Effective Field Theory

Typical BSM model-independent approach is to include all p BSM operators + light new states explicitly.

 $\mathcal{L}_{2020s} = -\mu_H^2 (H^+_{SM}H_{SM}) +$ all dim 4 terms (A_{SM} , ψ_{SM} , H_{SM}

Neutrino mass operators (e.g. effective Dim=5)

+(Wilson coeff. Λ^2) × Dim 6 etc (A_{SM} , ψ_{SM} , H_{SM}) + ...

all lowest dimension portals $(A_{SM}, \psi_{SM}, H, A_{DS}, \psi_{DS}, H_{DS})$ portal couplings

+ dark sector interactions (A_{DS} , ψ_{DS} , H_{DS})

SM -- Standard Model

DS – Dark Sector

Neutral "portals" to the SM

Let us classify possible connections between Dark sector and **Higgs-singlet scalar interactions (scalar** \overline{K} "Kinetic mixing" with additional U(1)' group (becomes a specific example of $J_\mu^i A_\mu$ extension) *LH N* neutrino Yukawa coupling, *N* – RH neutrino $J_{\mu}^{i}A_{\mu}^{j}$ requires gauge invariance and anomaly cancellation It is very likely that the observed neutrino masses indicate that

Nature may have used the *LHN* portal…

Dim>4

…………

 J_μ^A $\partial_\mu a$ /f axionic portal

$$
\mathcal{L}_{\text{median}} = \sum_{k,l,n}^{k+l=n+4} \frac{\mathcal{O}_{\text{med}}^{(k)} \mathcal{O}_{\text{SM}}^{(l)}}{\Lambda^n},
$$

How to look for New Physics ? \mathbf{F} step in calculating loop integrals in calculating loop integrals in the calculation integrals in K IOI NG hr New I

1. High energy colliders.
\n5
$$
\sqrt{2m\sqrt{2\pi}} \left(\frac{1}{\Lambda^2} (\bar{e}e)(\bar{q}q) \right) \sigma \propto \frac{E^2}{\Lambda^4} \to \Lambda > 10 \text{ TeV}
$$

\n2. Precision measurements, especially when a symmetry is broad
\n $\frac{1}{\Lambda_{CP}^2} (\bar{e}i\gamma_5 e)(\bar{q}q) \to \text{EDM}, \frac{1}{\Lambda_{CP}^2} < 10^{-10} G_F \to \Lambda_{CP} > 10^7 \text{ GeV}$
\n3. ϕ Intensity frontier experiments where abnormal to SM appear
\nFIPS (or sometimes disappearance, e.g. NA64) can be search

4. DM searches: $Atom + DM \rightarrow visible$ energy $DM + DM \rightarrow$ *visible energy*

All these methods are employed to look for Dark Sector, and as *particles, such as Dark Matter and mediators.*

Light particles change $\sigma(E)$

Light particles induced interactions do not benefit from going energies the same way as e.g. interactions from heavy particles

High intensity is a key to probe light particles with small coup $\frac{1}{\sqrt{4}}$ r. $\frac{1}{\sqrt{4}}$. (feebly interacting particles or FIPs)

How to explore Dark sectors in beam experinents

5. Missing energy/momentum. (In a collision where particles sent on target 1-by-1, one can detect abnormal energy/momentum loss. Same for e.g. particle colliders.)

6. Combination of all of the above: e.g. Sterile neutrinos ca "secret interactions", and also scatter off SM particles, or oscillation pattern can change.

 $e_{,\mu}$

Models vs Experiments in "Physics Bey Colliders" exercise at CERN

I hope that in the end, a clear strategy for building up CERN

Visibly and invisibly decaying dark photons ω 10^{-2} **e Experiment Community of ALL AND CONTRACTOR NA48/2 A1** 10^{-3} **CMS** LHCb **E774 mu3e (phase1) APEX BaBar** muse (phase2) 10^{-4} **NA64(e) Belle II HPS LHCb:** $\frac{1}{2}$ **Hb**¹ (solid), 300 fb¹ (dotted) **E141** 10^{-5} **post:** 10^{18} pot (solid), 10^{20} pot (dotted) **FASER** NA62-dumped **nu-Cal** p $\stackrel{\star}{\small{\mathcal{L}}}$ 10^{-6} **FASCHARM** 10^{-7} **E137** $n\overline{t}$ en 10^{-8} Benchmark cases 1 **SN1987A** models with visible 10^{-9} $\frac{1}{10^{-3}}$ 10^{-3} 10^{-2} 10^{-1} 1 10 10^{2} 10^{3} $m_{A'}$ [GeV] and invisible [bottom] 10^{-2} εdecays of dark pho **Figure 17**: **Dark photon into visible final states:** *Á* versus *mA*Õ. Filled aratomic spectra E949 ϵ are existing to ϵ and ϵ at experiments at experiments at experiments at collider target (A1 ϵ ϵ \pm 5 σ (favored) $(g-2)$ \mathbb{Z} , and \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} 10^{-3} old beam dumps: E774 **beam dumps: E775 contract and the state of the state of the state of the state of the state NA62 (2019)** $\frac{E}{\sqrt{4\pi}}$ and $\frac{E}{\sqrt{4\pi}}$ and $\frac{E}{\sqrt{4\pi}}$ Bellell 20 ft $\frac{1}{\sqrt{4\pi}}$ BelleII 20 fb $\overline{(g-2)}$ e a_n is the coloured curves are projections for experiments: Belle-Coloured experiments: Belle-Coloured experiments: Belle-Coloured experiments: Belle-Coloured experiments: Belle-Coloured experiments: Belle-Coloured exper **KLEVER** 10^{-4} \leq 10^{-4} \le 10^{-4} Faster and Faster and Faster and Faster and Faster and \mathcal{L} and HL-LHC \mathbb{Z} **NA64 (2019) LDMX @ SLAC** 10^{-5} **(e) ++ NA64 LDMX @ CERN** 10^{-6} 10^{-7} -10^{-3}

 10^{-3} 10⁻² 10⁻¹ 1

(From M. Davier et al, 2023) cross-section measurements and their possible origins, $\frac{1}{2}$ and $\frac{1}{2}$ peak region. The error bars of the error bars of the error bars of the error bars of the extension of the extens

• The reasons why CMD-3 results are considerably larger (compared to global errors) are not entirely clear. sons wny UMD-3 results are red to global errors) are not $\frac{1}{2}$ measurements $\frac{3}{2}$ measurements $\frac{3}{2}$ central value of the experimental world average [2]. The predictions are computed from the individual *fi*⁺*fi*[≠] con $t_{\text{untrivial}}$ and t_{unstr} \mathbf{f} _≠ fixed representative from \mathbf{f} not entirely clear. $\mathcal{L}_{\mathcal{M}}$ $\overline{}$ $\frac{d}{dt}$ points in contract uncertainties in $\frac{d}{dt}$ and systematic uncertainties in $\frac{d}{dt}$ The reasons why $CMD-3$ results combination within its 1*‡* uncertainty. experiments, computed as the absolute value of the absolute value of the difare considerably larger. certainty, in various energy intervals. The three KLOE $\overline{\mathcal{M}}$

 μ shows the pull magnitude (significance) be-

- They (CMD-3) are consistent with BMW lattice result. λ ivi D - λ) are consistent with λ being updated [64]. indicate the *fi*⁺*fi*[≠] and total uncertainties, respectively. The \mathbf{v} ivers for \mathbf{v} is the fraction of \mathbf{v} $Thev (CMD-3)$ are $\frac{1}{2}$ (end $\frac{1}{2}$ are consistent CMD-3 rises to a significance of 2–3*‡* on the *fl* peak, ith $\rm RMW$ lattice result is a energies. The distribution between BABAR and KLOE
- This invites additional scrutiny for the "radiative return" n of measuring hadron production cross section. 71tes additional scrutiny for **f** range from threshold to 1.8 GeV for each experiment. entire interval, production or periment (see text for details) particularly concerning the details of \mathbf{p} e radiative return fr *invites additional serutiny* this invites additional serving. of measuring hadron production of measuring nation production ing the ling to the to the to ² and the to ² and the ³ of the futurity form is cross section α ₁ and β *s* α *around the broader*.
- One can no longer claim \sim 5 σ discrepancy between theory experiment for muon g-2. i no ionger cialin \sim Jo qiscre of $\mathfrak{so}(n)$ are muon precise and most precise an $\frac{1}{\sqrt{2}}$ f_{\perp} **i** f_{\perp} fii+ f_{\perp} contribution, scaled by a fixed b ancy between theory a $\overline{}$ freedom, the second freedom, the other terms in the other f_{max} and f_{max} or f_{min} , f_{max} One can no ionger claim \sim JO σ α and α and α for more recent α α β α , which are updated vertex α organonau hotwoon thoomy \mathcal{S} Crepancy between theory

Dark photons decaying to dark matter

Experiments that look for missing energy/momentum have a over experiments looking at production $\&$ detection of dark vs ε^4 scaling. However in case of positive signal, it is harder *what it could be.*

MiniBooNE search for light DM

arXiv:1702.02688, PRL 2017.

 S_1 from the Fermilab Booster Neutrino Beam (BNB), respectively. The Fermilab Booster Neutrino Beam (BNB), re- \sim J sous dominated the Furter to future improvement with much closer new detector at SNB of the SNB o

strong in flavour-type experiments

Non-conserved currents will be sensitive high-mass scales through loops

 \blacksquare It is well known that there is an enhancement of non-conserved currents inside loops leading to FCNC. The key – access $\frac{1}{2}$ momenta \sim m_W and m_t .

■ For a fully conserved current, like couplings of dark photon, *Amplitude ~ GF m2 meson* For a non-conserved current, such as Higgs-mixed scalar $Amplitude ~ \sim ~ G_F m^2_{top}$ *W*. The first diagram corresponds to the e↵ective vertex in irrent, such as **Higgs-mixed** scalar

Light Higgs-like particle through the super-renormalizable portal ⌃*Fµ*⇥⌅*^µ*⇥*i*⁵ α licable neartel 2 ⌃*Fµ*⇥⌅*^µ*⇥*i*⁵ ⌃ (41) 1 ⌃*F*˜*µ*⇥⌅*^µ*⇥⌃ (42)

Example: new particle admixed with a Higgs. 1 *F* adilitated with a riggs. $\overline{ }$

$$
\mathcal{L}_{\text{Higgs portal}} = \frac{1}{2} (\partial_{\mu} S)^2 - \frac{1}{2} m_S^2 S^2 - ASH^{\dagger} H
$$

After (Higgs Field = vev + fluctuation h), the actual Higgs boson minor mith \mathbf{S} mixes with S. 1 $=$ vev + fluctuation h), the actual Higgs bo *Av*

Mixing angle:

$$
\widehat{O} = \frac{Av}{m_h^2}
$$

The model is technically natural as long as A not much larger Low energy: new particle with Higgs couplings multiplie Mixing angle and mass can span many orders of magnitud *New effects in Kaon and B-decays.*

Higgs penguin in flavor physics \mathcal{C} mediator, matrix scenario, it is advantageous to have a fermionic to hav *L* \overline{H} \overline{H} in flavo $\frac{1}{2}$ *L* = (*i*@*µ^µ m*) + *S* + 1 1 flavor physics

• Calculations of the "Higgs penguin" are especially neat: \mathcal{L} is natural. The subsequent decay of \mathcal{L} s of the "Higgs penguin" are especially neat: r the Triggs penguin are especially frem.

$$
\mathcal{M}_S = \frac{S}{v} m_b \bar{s}_L b_R \times \frac{3}{2} \theta \frac{(y_t^{\text{SM}})^2 V_{tb} V_{ts}^*}{16\pi^2}
$$

• *Notice the absence of any complicated function of* m_t/m_W *.* **The same interpretation of mass** *m* being is that the effect is similar to scale anomaly: If we compute the contribution from Higgs mixing in (17), $\frac{1}{2}$! *....*¹ 2 e of any co p *mplicated function of m_t/m_W.* T *ence of any con*
ne effect is simi ϵ \int _O^{\int} $\ddot{\mathbf{1}}$ $\int \frac{1}{2}$ **s** anomaly:

$$
\underbrace{m_t \overline{t}t}_{\partial v} \rightarrow \left(1 + \frac{h}{v}\right)m_t \overline{t}t \rightarrow \text{H.peng.} \sim (\gamma \cdot p) \frac{\partial}{\partial v} \text{SelfEnergy}(m_t/m_t)
$$
\n
$$
\frac{\partial}{\partial v} \text{SelfEnergy}(m_t/m_W) = \frac{\partial}{\partial v} \text{SelfEnergy}(y_t/g_W) = 0?
$$

 $\frac{1}{\sqrt{1000}}$ (100 mm)

• The result is not 0 because of the scale dependence, Self-Energy \sim Log(M_{reg}/v) 0 because of the se *m*^{*V*} *M*^{*M*} *M*^{*V*} *N*^{*V*} *N*^{*X*} *N*^{*V*} *N*^{*X*} *N*^{*N*} *N*^{*N*} *N*^{*N*} *N*^{*N*} *N*^{*N*} *N*^{*N*} *N*^{*N}* e scale $\begin{bmatrix} 1 & 1 \\ 1 & 1 \end{bmatrix}$ **.** (3) $\begin{array}{c} \begin{array}{c} \hline \hline \end{array} \end{array}$ $\Gamma_{K\to\pi+\phi}$ mediator \simeq $\begin{pmatrix} 0 \\ 16\pi^2\pi^2 \end{pmatrix}$ $\frac{m_{K}^{2}}{16\pi^2\pi^2}$ 0 because of the scale de $d = 1$ $\text{Self-Energy} \sim \text{Log}(M_{\text{res}}/v)$ $\Gamma_{K\to\pi+\phi}$ _{mediator} ~ θ $\sum_{l=1}^{2} \int 3m_t^2 V_{td} V_{ts}^*$ $16\pi^2v^2$ $\bigg)^2 \frac{m_K^3}{64 \pi v^2}.$ θ \sim Log(M_{reg}/ ν) $\frac{1}{2}$ $Log($ Λ \overline{c} of the s $\frac{V}{\lambda}$ $\ddot{\mathbf{C}}$

Constraints on HNLs

YOOMe / ~ /
Exp /00 MeV

- Charged current production of followed by displaced deca
- Lower masses typically disfa by cosmology.

decays

New HNL constraints from old LSI As in the muon mixing case, the HNL can be produced from the muon decay if *m^N < mµ*, and the Muon mixing case

 \blacksquare With Y. Ema, Z. Liu and K. Lyu, e-Print: $\frac{2306.07315}{2306.07315}$ [he relevant amplitude is given diagrammatically as

 ν_μ , p ν

. (2.13)

Sometimes a pair will look like a single electron \rightarrow contri to v-e scattering sample at LSND. Strong acceptance pen

- Even with the penalty, LSN provides novel constraints d enormous POT.
- Future experiments may im on these constraints.

Important features of new facilities (e.g. SHiP)

- High intensity $O(>10^{20}$ POT) & High energy, E=400 GeV. (e.g. to 800 GeV CCFR/NuTeV where $O(10^{18}$ POT) was collected.
- Copious amounts of s, c, b quarks, and tau-mesons can be produced. enabling studies of their very rare decay modes.
- A much shorter baseline than before, 100 m or less (with Nu $CHARM~O(km)$. Enables access to much shorter-lived relic-
- Proton-nucleus collision followed by an absorber creates a " dump of everything". (Over 10^{21} hard gamma and positrons, muons going through the absorber). This is not yet a fully inv *advantage. The SHiP experiment*

New opportunities at the LHC

- LHC will continue to take date in the next \sim 15 years, and w become instensity frontier machine.
- Several possibilities of "on-axis" and "off-axis" detectors exist.
- Among the forward detectors, FASER idea and implementat been particularly successful.
- First detection of LHC neutrinos in 2023! **Summary**
- Efforts to detect Dark Sector are not limited to DM searches.
- A wide variety of models and methods of detection have been investigated in various detection schemes (rare meson decay displaced decays of light DS states, missing energy/moment

Xenon-based dark matter experiments

- Based on two signals: initial scintillation "on impact" (S1) and final scintillation (S2) from drift electrons.
- Ratio of S1/S2 is used to discriminate between electron and nuclear recoils
- More or less same technology is used in Xenon10, Xenon100, 1T, nT, LUX, LZ, Panda-X

Xenon nT is installed in Gran Sasso, Italy. LZ is the US project.

Two blind areas for direct detect

- 1. ~MeV scale dark matter: Kin Energy = $mv^2/2$ ~ $(10^{-3}c)^2(M$ Below the ionization threshold!
- 2. Strongly-interacting subdominant component of Dark Matte Thermalizes before reaching the underground lab, Kin energy \sim kT \sim 0.03 eV

(Typically cannot be entire DM, but is limited to fraction $f<10^{-3}$)

Below the ionization threshold!

Goal: explore multiple collisions of DM to fill in "blind spots" to light DM

Direct detection, scattering of DM on electrons, 2017 slide

- For a given DM mass particle, in the MeV and sub-MeV range, the recoil energy of electrons is enhanced compared to nuclear recoil by M_{nuc}/m_e • For a given DM mass pa ctrons is enhanced compared to nuc Spin-avalanche
- Sensitivity to energy depositions as low as 10 eV reality *now*. ivity to energy depositions as low as T
- Near future $-O(1eV)$ sensitivity and below. Continuing work in this direction. • Near \sim $\frac{140}{20}$ $\frac{140}{20}$ ' and bei
- 28 • Huge number of suggestions: *using superconductors, graphene, Weyl semimetals*, DNA, to push threshold lower. Somewhat of science fiction at this point. number of suggestions: *using superc* io *push inresnota tower.* Somewhat of

Goal: explore multiple collisions of to fill in "blind spots" to light DI

Comparing counting rates in large Xe detectors and in low-recoil solid state

- LZ, Xenon NT, the counting rate is as low as \sim 10 events / ton / year / keV, With $E > 1$ keV
- Typical counting rates at lowest threshold semiconductor detectors are large, currently plagued by unexplained excess:

Collaborative summary paper based on the results reported at EXCESS 2021

https://arxiv.org/abs/2202.05097

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- 3 Comparison of the measured spectra

4 Summary and Outlook

Main limitation of light WIMP search

- The kinetic energy of galactic dark matter is limited by $E_{gal, max} = m_{DM} (v_{escape})^2/2.$
- For MeV-range DM, this energy is below the ionization energy Xe (13 eV). For MeV DM maximum kinetic energy is \sim 1
- Are there processes that bring DM energy above $E_{gal, max}$?

Case 1: DM scattering on electrons. Case 2: DM scattering on

"Reflected DM": extending the reach of Xe exper **to WIMP scattering on electrons** 2

- Initial kinetic energy $m_{dm}(v_{dm})^2/2$ with $v_{dm} \sim 10^{-3}$ c (that has an endpoint km/sec)can be changed by scattering with electrons, $v_{el} \sim (2 T_{core}/m_e)^1$ 0.1 c. In particular E_{reflected} can become larger than E_{ionization}. and XIII NESSEE ON SCALE FROM THE GALACTIC ON SCALE POPULA $\frac{1}{\sqrt{2}}$ contours denote functions. The thick gray relic density $\frac{1}{\sqrt{2}}$ indicates a schematic lower limit from stellar energy loss while the $t = \frac{(1)(2)(2)}{16}$ radius, and the strength of the strength of the strength of the reflection of the reflection of the reflection of the strength of the reflection of the strength of the strength of the strength of the str igy $m_{dm}(v_{dm})^{-/2}$ with v_{dm}^{\sim} to contain has an σ . anged by scattering with electrons, $v_{el} \sim (2 \text{ T}_d)$ $\sum_{\text{reflected}}$ can be come target than $\sum_{\text{[OIIIZATION]}}$ s a considered cross sections in the initial velocity is assumed. The initial velocity is Γ ^oc (that has an endpoint) $v_{\text{S}} \propto (2 \text{ m/s})^3$ beach, r
- Huge penalty in the flux of "reflected" $DM \sim 10^{-6} \sim$ solid angle of the S $\Phi_{\rm refl} \sim \frac{\Phi^{\rm halo}}{4} \times$ $\int 4S_g$ $\frac{S_g}{3} \left(\frac{R_{\text{core}}}{1 \text{ A.U.}}\right)^2 \sigma_e n_e^{\text{core}} R_{\text{core}}, \ \ \sigma_e \ll 1 \text{ pb},$ $S_g\left(\frac{R_{\text{scatt}}}{1 \text{ A.U.}}\right)^2$, $\sigma_e \gg 1 \text{ pb.}$ $10^{-6} \sim$ solid angle of the S For a given cross section *e*, the scattering rate was then $\sigma_e \ll 1$ pb, $p \propto 1$ shifted according with velocity shifted accord- $\sigma_e \gg 1$ po.

Analogy with Sunyaev-Zeldovich effect

- CMB photons are upscattered by hot gas in clusters of galaxies. Decrement at low frequency and increase at higher frequency.
- 34 • Solar electrons will do the same to light dark matter. Sun will be seen as a "hot spot" in dark matter.

Contact mediator, limits on σ_e

An, Nie, MP, Pradler, Ritz, 2017, 2022

- Large Xe-based detectors improve sensitivity to $\sigma_{\rm e}$ through reflected Sensitivity to cross section on electrons down to 10^{-38} cm².
- Significant fraction of "freeze-out" line for DM abundance is exclue simple WIMP model.

Massless mediators, limits on $\sigma_{\rm e}$

cross section normalized on $q = m_e \alpha$ Effective charge

An, Nie, MP, Pradler, Ritz, 2021

- Large Xe-based detectors improve sensitivity to σ_e through reflected flux.
- Second case, massless mediator = milli-charged dark matter, $Xe1T$ is sen Q_{eff} ~ few 10⁻¹⁰ e.
- The results are corrected/extended by the Stony Brook group (H. Xu poster)

Light DM accelerated by cosmic rays

- There is always a small energetic component to DM flux (Bringmann, Pospelov, PRL 2019, others) due to interaction with cosmic rays.
- Typically: MeV DM mass \rightarrow eV kinetic energy \rightarrow sub-eV nuclear recoils. No limits for $\sigma_{\text{nucleon-DM}}$ for DM in the MeV range.
- This is not quite true because there is always an energetic component for DM, not bound to the galaxy. Generated through the very same interaction cross section: σ_{γ}

 M ain *idea*: Cellisians of DM Main idea: Collisions of DM with cosmic rays generate sub-*I* omi \overline{I} ² *mⁱ* $\overline{\mathbf{a}}$ 1 *±* \overline{a} ux Wi *m* $th \sim 10$ \int ^{*n*} *i* \int \overline{a} # $dominant DM flux with $\sim 100$$ where the + () sign applies for *T >* 2*mⁱ* (*T <* 2*mi*). irect detection type recoil direct detection type recoil. *MeV momentum – perfect for*

Resulting limits on WIMP-nucleon scatter

- Spin-independen [Notice the constraint from Miniboone measurements of scattering]. Excl $= 10^{-29} - 10^{-31}$ cm²
- Scattering on fre in e.g. Borexino SK sre also very constraining e.g spin-dependent s
- (Ema, Sala, Sato independent wor the same lines fo

Updated limits on WIMP-nucleon scattering wint-nucleon scatte Monte Carlo (MC) simulation method developed in our previous work [27], with nucleon targets replaced by elec-

Two blind areas for direct detection

1. \sim MeV scale dark matter: Kin Energy = mv²/2 \sim (10⁻³c)²(MeV/c²) \sim eV. Below the ionization threshold!

2. Strongly-interacting subdominant component of Dark Matter. Thermalizes before reaching the underground lab, Kin energy \sim kT \sim 0.03 eV

(Typically cannot be entire DM, but is limited to fraction $f<10^{-3}$)

Below the ionization threshold!

Nightmare embarrassing scenario

Rare species of strongly interacting DM

- Most advanced direct dark matter detection experiments are so far ahead of other probes that we would not be able to distinguish between $(f_{\gamma} = 1 \text{ and } \sigma = 10^{-47} \text{ cm}^2, \text{ and } e.g. f_{\gamma} = 10^{-3} \text{ and } \sigma = 10^{-44}$ $cm²$)
- Assuming a wide range of f_{γ} , 10⁻¹⁰ to 1 is reasonable, as it can be broadly consistent with the freeze-out models.
- If f_χ << 1 (e.g. 10⁻⁵) significant blind spots exist (talk to Juan) for large scattering cross section values (e.g. 10-28 cm2) which can easily arise in models with relatively light mediators. The accumulation and distribution of DM inside astrophysical bodies (most importantly, the Earth) will change.

Dark matter traffic jam *Pain II T* = 300 K, *m*gas ⇠ *A* ⇥ GeV and take A ⇠ 30 for rock. tar traffic iam for three di↵erent masses *M* = 100 GeV*,* 1 TeV*,* 10 TeV

- Rapid thermalization cross section is expected to be 4፡R²
- Flux conservation: $v_{in}n_{halo}$ = $V_{terminal}$ n_{lab} . it to be on the same order of magnitude as the elastic one.
- Terminal sinking velocity is determined by the effective $\qquad \qquad \blacksquare$ mobility (\sim inverse cross section) and gravitational forcing and gravitational forcing $\lim_{n\to\infty}$

$$
v_{\rm term} = \frac{3M_{\chi}gT}{m_{\rm gas}^2n\langle\sigma_t v_{\rm th}^3\rangle}
$$

- Change in velocity from incoming $\sim 10^7$ cm/s to typical sinking velocity of 10 cm/s results in n_{lab} $\int 0^6$ n_{halo}. Not visible to DD where α is the desire for α is the mass of gas part of β **tion, the number of the number of the number of gas particles,** *the Change m* **velocity from mcomming** α
- At masses < 10 GeV upward flux is important and density goes up. $\frac{1}{2}$ for the $\frac{1}{2}$ cross-section scattering cross-section scattering cross-section at $\frac{1}{2}$

ment. As mass of DM, *M* is dialed up, the terminal MP, Rajendran, Rama Ramani 2020, Berlin, Ramani, 2021

Density of trapped particles: best mass range = few GeV.

§ Lowest mass – evaporation, Highest mass – traffic jam, intermediate mass – trapping with almost uniform distribution inside Earth's volume.

- **FIG.** Enhancement of the density can be as high as 10^{14} . (First noted by G.Farrar and collaborators) Earth as a function of mass (*m*) and per-nucleon cross sec-
- 43 **•** "Less is more". Having 1 GeV particle with $f_\chi = 10^{-5}$ fractional DM abundance may result in $\sim 10^9/\text{cm}^3$ concentrations, not $10^{-5}/\text{cm}^3$. This has to be exploited. σ . Having T Oc v particle with $I_{\gamma} = I_0$ Consider a beam of nuclei of mass *m^b* and kinetic en- α *E*^{*b*} including α including α including α $p = 0$ is the contract of $\frac{1}{42}$

Signature 2: Using underground acceleratd "accelerate" dark matter

- Some of the underground Labs that host Dark Matter detect have nuclear accelerators (LUNA, JUNA) for a completely different purpose: studies of nuclear reactions.
- We propose to couple nuclear accelerators and dark matter detectors: accelerated protons (or other nuclei) can strike DI particles that can subsequently be detected with a nearby de

■ This is going to be relevant for models with large DM-nucle section where A. interaction is enhanced, B. density is enha ✓*µ^N* ◆² I the interaction connects I anceg, B. gensity is enna in Eq. (17). This result can also be generalized to low-

Spectrum of recoil

Energy of nuclei in the detector after experiencing collision with the accelerated DM.

FIG. 3. Maximum nuclear target recoil energies E_R^{max} for dark matter upscattered by beams of protons (left) or carbon (right) with kinetic energies $E_b = 0.4$ MeV (solid) and $E_b = 1.0$ MeV (dashed) for a selection of target nuclei.

Energy of accelerator is \sim MeV and given that the thresholds in many detectors are keV and lower, this detection scheme is realistic. λ *L*(*C*_c) and λ and λ *D* w λ ₁,

New reach in the parameter space

• While 100% fraction of these DM particles is excluded by combination of ballon $+$ underground experiments (gray area), the accelerator+detector scheme is sensitive to small f_{γ} .

This is a promising scheme that can be tried without additional enormous investment, with existing accelerators (LUNA, JUNA)

Conclusions (part III)

- Dark sectors/feebly interacting particles that give a wider range of DM masses and possibilities – are being actively explored at the moment.
- Beam dump opportunities (from a few MeV to 400 GeV range, and LHC high intensity run, 13.6 TeV) provide ample opportunities to explore the parameter space of most reasonable (benchmark) dark sector models.
- The diversity of dark sector models creates a diversity of experimental signatures – now it is the right time to explore them, as much investment is made into direct detection of dark matter.
- 47 § Strong limits can be imposed even in "blind spot" areas – using subdominant components of the flux. *Dark matter "reflected" from solar electrons, Dark Matter "accelerated" by cosmic rays.* So far limits from Xenon on σ_e in 0.1-5 MeV mass range from solar reflection are much better than those from "novel detectors".