

Loop Blow-Up Inflation

A new inflationary model from string theory

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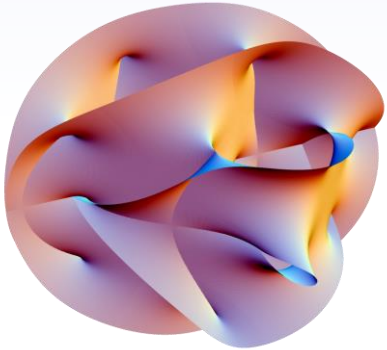


Based on:

S. Bansal, LB, M. Cicoli, A. Hebecker, R. Kuespert: 2403.04831

Kähler moduli and Inflation

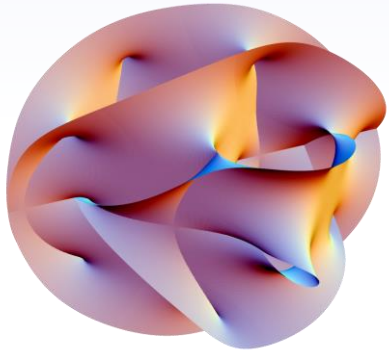
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STRING THEORY**



**D=4 $\mathcal{N}=1$
SUGRA EFT**

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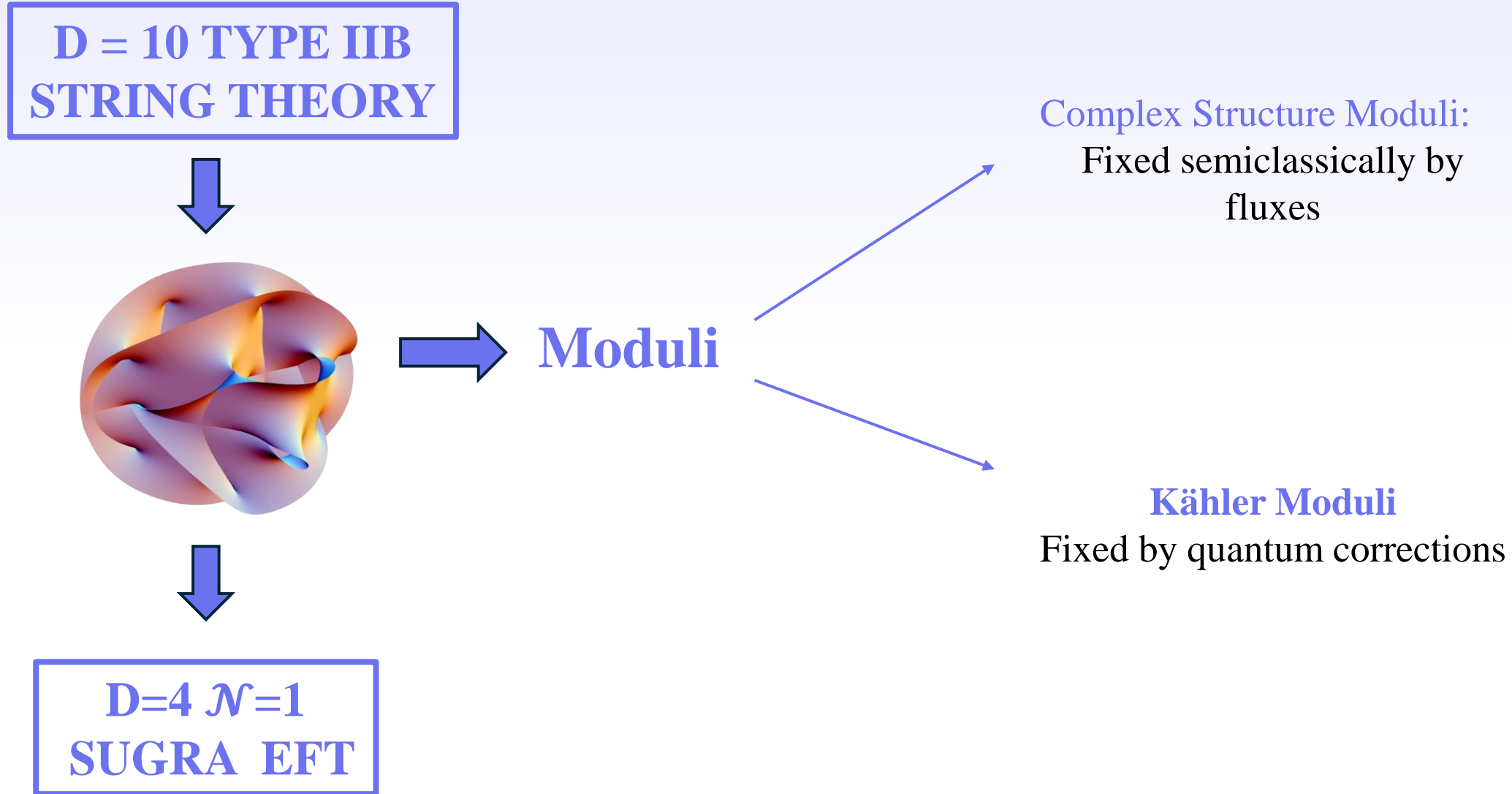


Moduli



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SUGRA EFT**

Kähler moduli and Inflation



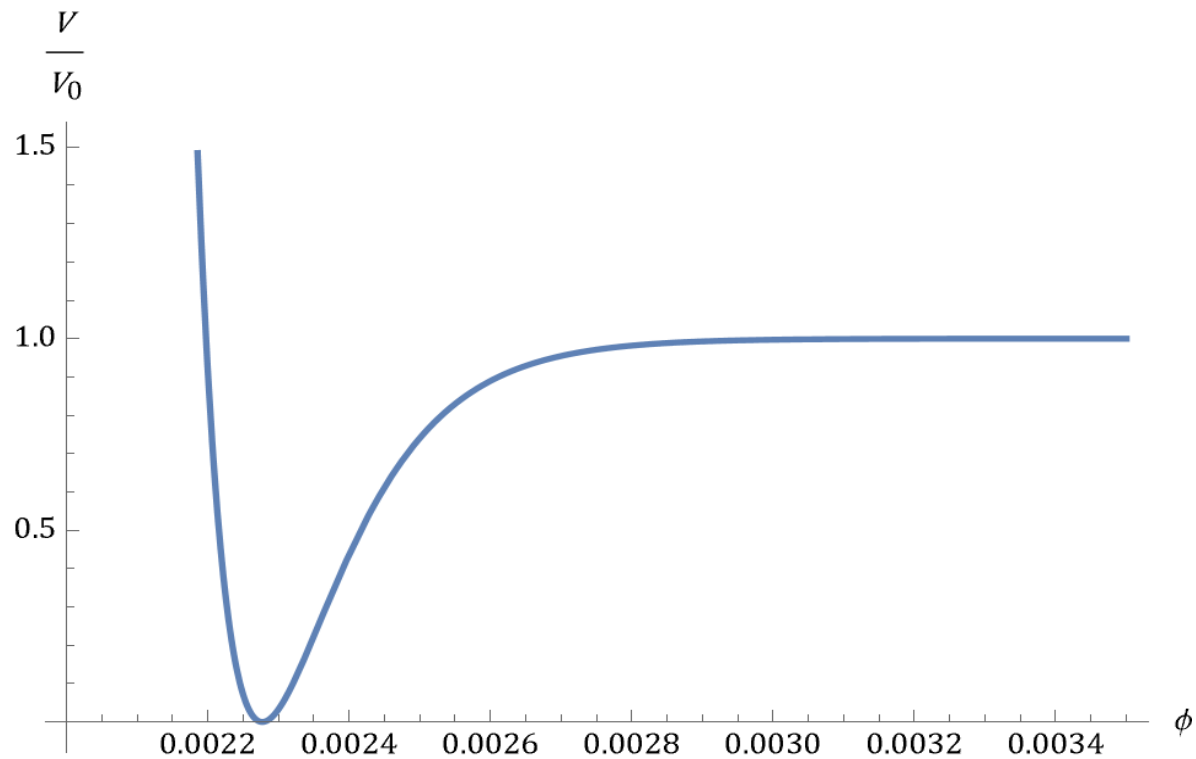
Kähler moduli and Inflation

$$V \sim \left(B \frac{\sqrt{\tau} e^{-2a\tau}}{\nu} - C \frac{\tau e^{-a\tau}}{\nu^2} + \frac{\xi}{\nu^3} \right) \xrightarrow{\tau \gg 1} V \simeq V_0 \left(1 - C \frac{\tau e^{-a\tau}}{\nu^2} \right) \xrightarrow{\text{Canonical normalization}} V(\varphi) \simeq V_0 [1 - C \varphi^{4/3} e^{-\mu \varphi^{4/3}}]$$



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Blow-Up Inflation
[Conlon, Quenevo: 2005]

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$$\delta V \sim \frac{1}{\mathcal{V}^3 \sqrt{\tau}} \quad \longrightarrow \quad V \simeq \tilde{V} \left(\frac{\beta}{\mathcal{V}^3} - C \frac{\tau e^{-a\tau}}{\mathcal{V}^2} - \frac{c_{loop}}{\mathcal{V}^3 \sqrt{\tau}} \right)$$

For $c_{loop} > 10^{-6}$ loops immediately dominate:

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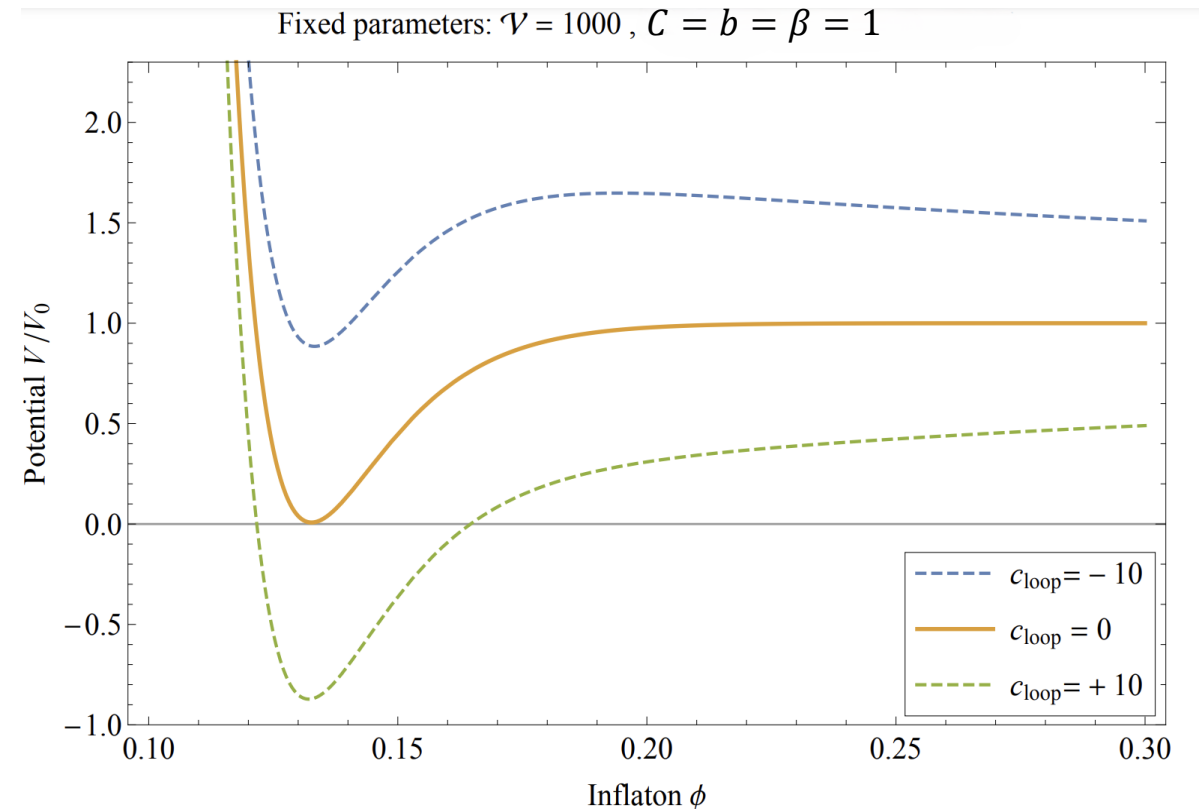
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Cosmological Parameters

Spectral Index n_s and Tensor-to-Scalar Ratio r

$$\begin{cases} n_s \simeq 1 - \frac{20}{9} \frac{bc_{loop}}{\mathcal{V}^{1/3} \varphi_*^{8/3}} \\ r \simeq \frac{32}{9} \frac{(bc_{loop})^2}{\mathcal{V}^{2/3} \varphi_*^{10/3}} \end{cases}$$

Imposing CMB bounds with $c_{loop} \simeq 1/(16 \pi^2)$

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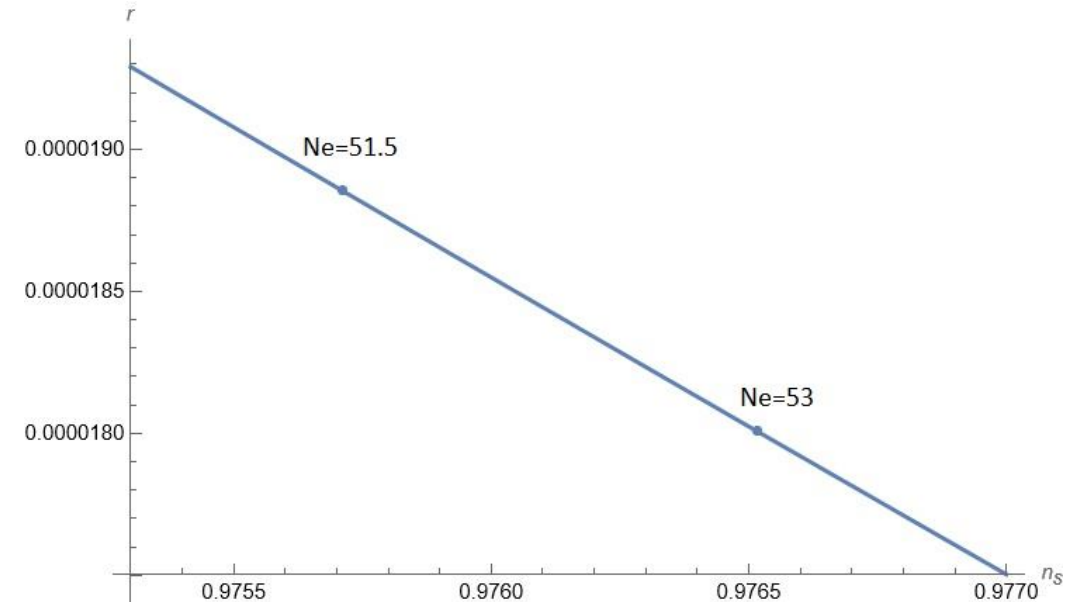
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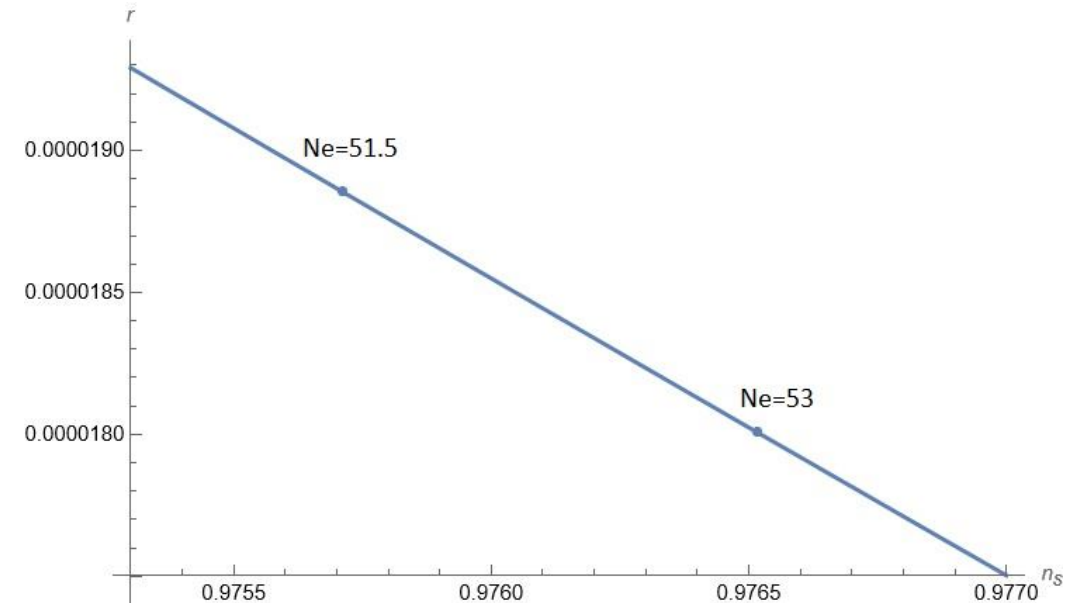
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N_e from post-inflationary evolution and reheating:

$$N_e \simeq 57 + \frac{1}{4} \ln r - \frac{1}{4} (N_\varphi + N_\chi)$$

Depends on the microscopic details of SM realization (more on this in the poster session!)

Post-Inflation and Predictions

Post-inflation in 4 scenarios of SM realization: similar cosmological histories with generic features

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Post-inflation in 4 scenarios of SM realization: similar cosmological histories with generic features

- One or two periods of **Early Matter Domination** due to moduli oscillations

$$1 \leq N_\varphi \leq 11 \quad 0 \leq N_\chi \leq 10.5$$

- **Dark Radiation** production in the form of volume-mode axions

$$0 \lesssim \Delta N_{eff} \lesssim 0.36$$

- Low **tensor-to-scalar ratio**

$$r \simeq 2 \times 10^{-5}$$

- **Consistent** prediction of the **spectral index**

$$n_s \simeq 0.976$$

Thank You for your Attention!
See you in the cloister for more details!

Backup

SM Realization and Scenarios

- SM D7-branes cannot wrap τ_s [Blumehagen, Moster, Plauschinn: 2007] nor τ_φ (FI terms would make it too heavy)
 introduce τ_{SM} and τ_{int}

$$\mathcal{V} = \tau_b^{3/2} - \tau_s^{3/2} - \tau_\varphi^{3/2} - \tau_{SM}^{3/2} - \lambda(\tau_{int} - \tau_{SM})^{3/2}$$

- D-term stabilization ($\xi_{FI} = 0$):

$$\tau_{SM} = \lambda^2(\tau_{int} - \tau_{SM})$$

- $\lambda = 0$  $\tau_{SM} \rightarrow 0$: SM on D3-branes at singularity
- $\lambda \neq 0$  τ_{int} fixed in terms of τ_{SM} , still flat. Fixed by loop potential [Cicoli, Mayrhofer, Valandro: 2011]:

$$V_{loop}(\tau_{SM}) = \frac{W_0^2}{\mathcal{V}^3} \left(\frac{\gamma}{\sqrt{\tau_{SM}}} - \frac{\delta}{\sqrt{\tau_{SM}} - \sqrt{\tau_s}} \right) \quad \img alt="blue arrow" data-bbox="592 600 682 635"/> \text{ SM on D7-branes}$$

- 4 Scenarios:

- i. Scenario I: SM on D7, τ_φ wrapped by hidden-sector D7s
- ii. Scenario II: SM on D7, τ_φ *not* wrapped
- iii. Scenario IIIa: SM on D3, τ_φ wrapped by hidden-sector D7s
- iv. Scenario IIIb: SM on D3, τ_φ *not* wrapped

Comments on Spectral Index

- Scenario I:

$$n_s \simeq 0.9765, \Delta N_{\text{eff}} \simeq 0 \quad \overset{\sim 2\sigma}{\longleftrightarrow} \quad n_s = 0.9665 \pm 0.0038 \quad 68\% \text{ CL}$$

[Planck: 2018]

- Scenario II:

$$n_s \simeq 0.9761, \Delta N_{\text{eff}} \simeq 0.14 \quad \overset{\sim 2\sigma}{\longleftrightarrow} \quad n_s = 0.9589 \pm 0.0084 \quad 68\% \text{ CL}$$
$$N_{\text{eff}} = 2.89^{+0.36}_{-0.38}$$

[Planck: 2018]

- Scenario III:

$$n_s \simeq 0.9757, \Delta N_{\text{eff}} \simeq 0.36 \quad \overset{\sim 1.2\sigma}{\longleftrightarrow} \quad n_s = 0.983 \pm 0.006 \quad 68\% \text{ CL}$$
$$\Delta N_{\text{eff}} = 0.39$$

[Planck: 2015]

- Possible improvements: include additional corrections

- F^4 corrections [Cicoli, Licheri, Piantadosi, Quevedo, Shukla: 2023]
- Subleading loop corrections