

Cosmic rays & gamma rays: from supernova remnants (SNRs) to clusters of galaxies (GCs)

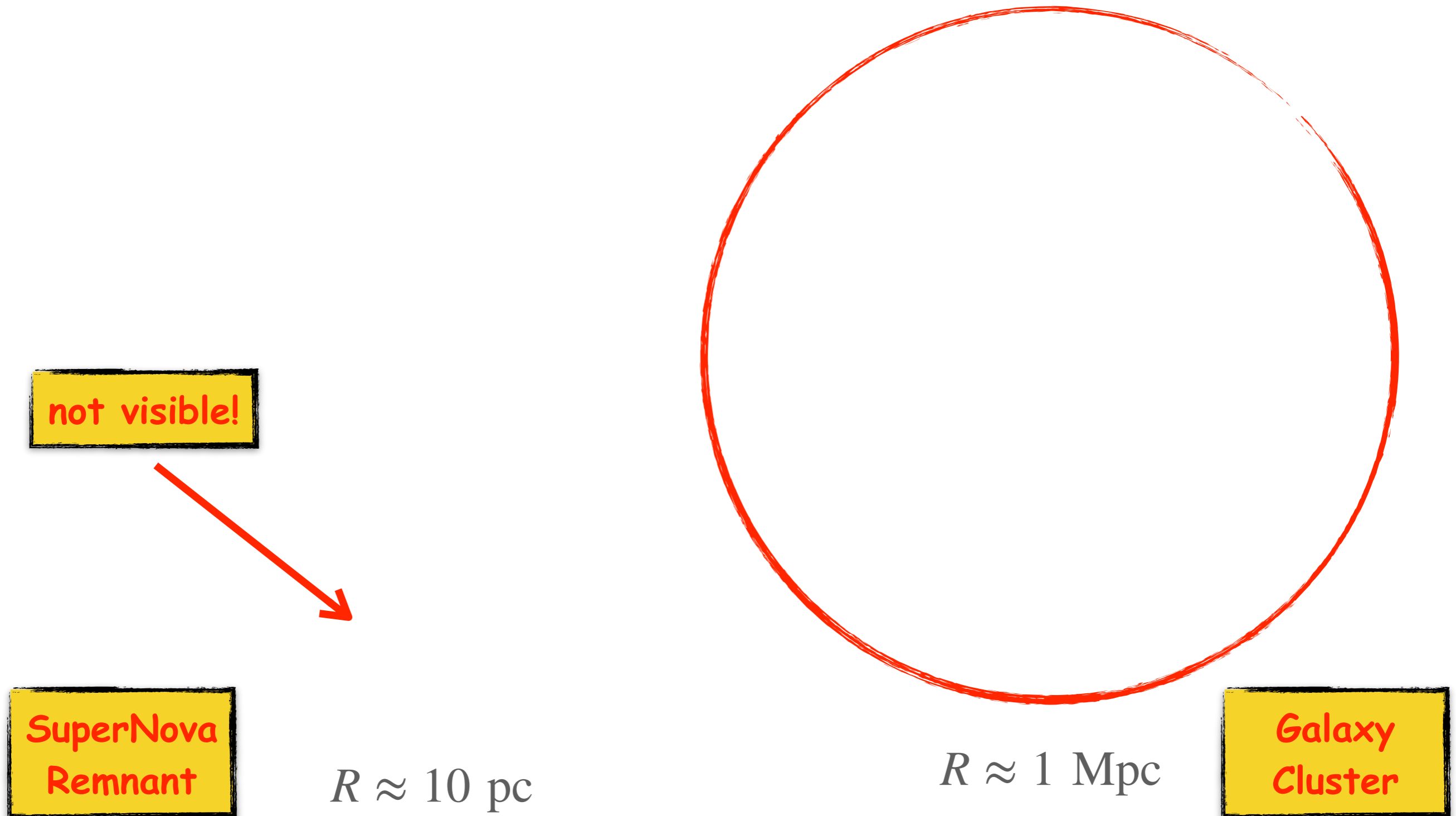


Stefano Gabici
APC, Paris



www.cnrs.fr

Why it is difficult to talk about SNRs and GCs in the same talk



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because the reason why these objects are bound by a spherical non-relativistic shock is completely different...



massive star

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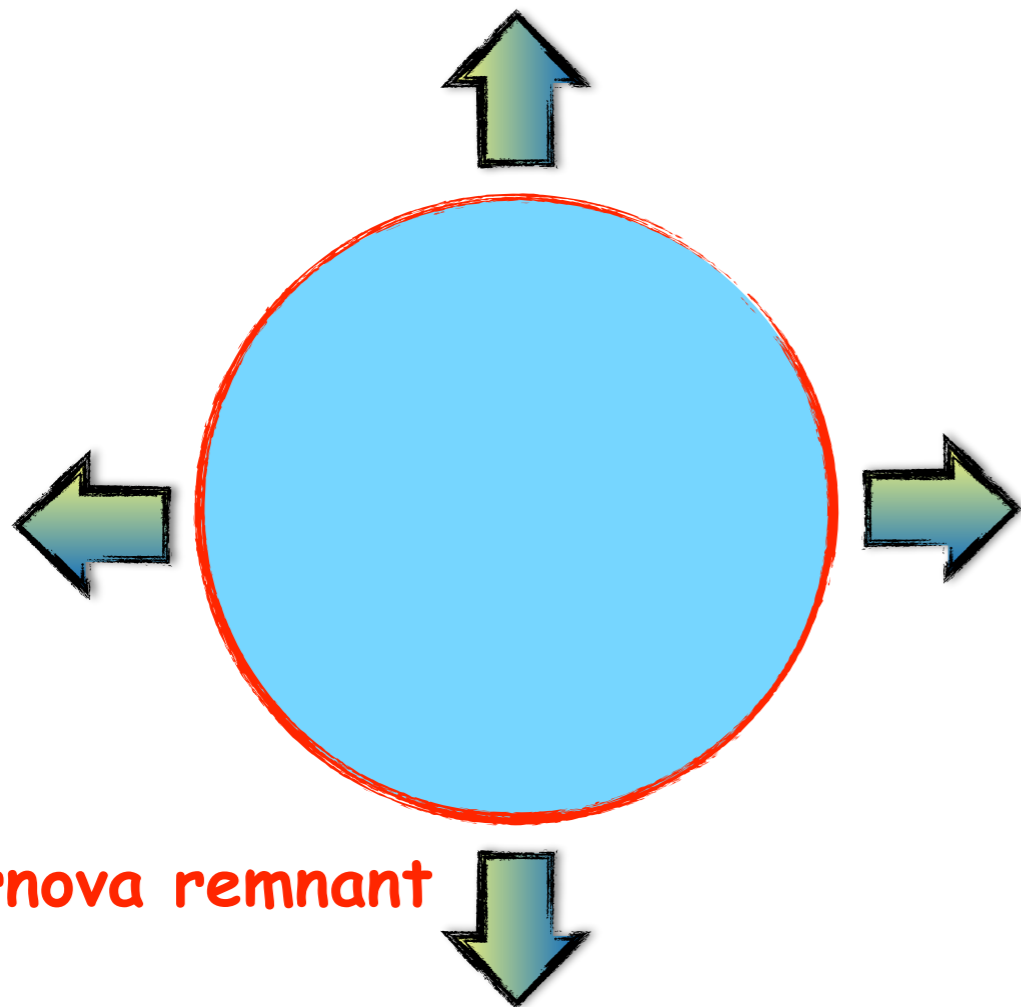
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supernova explosion

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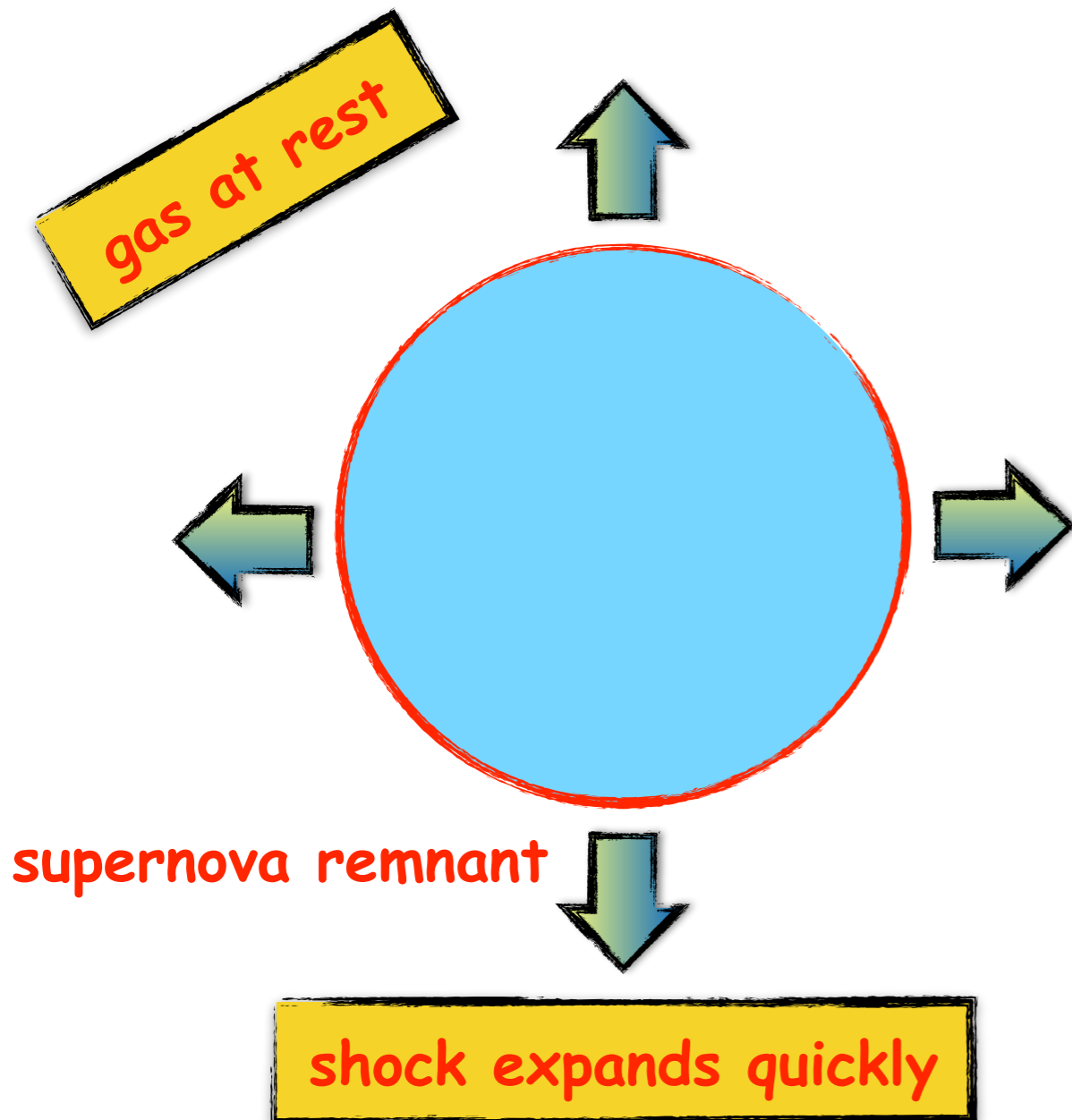
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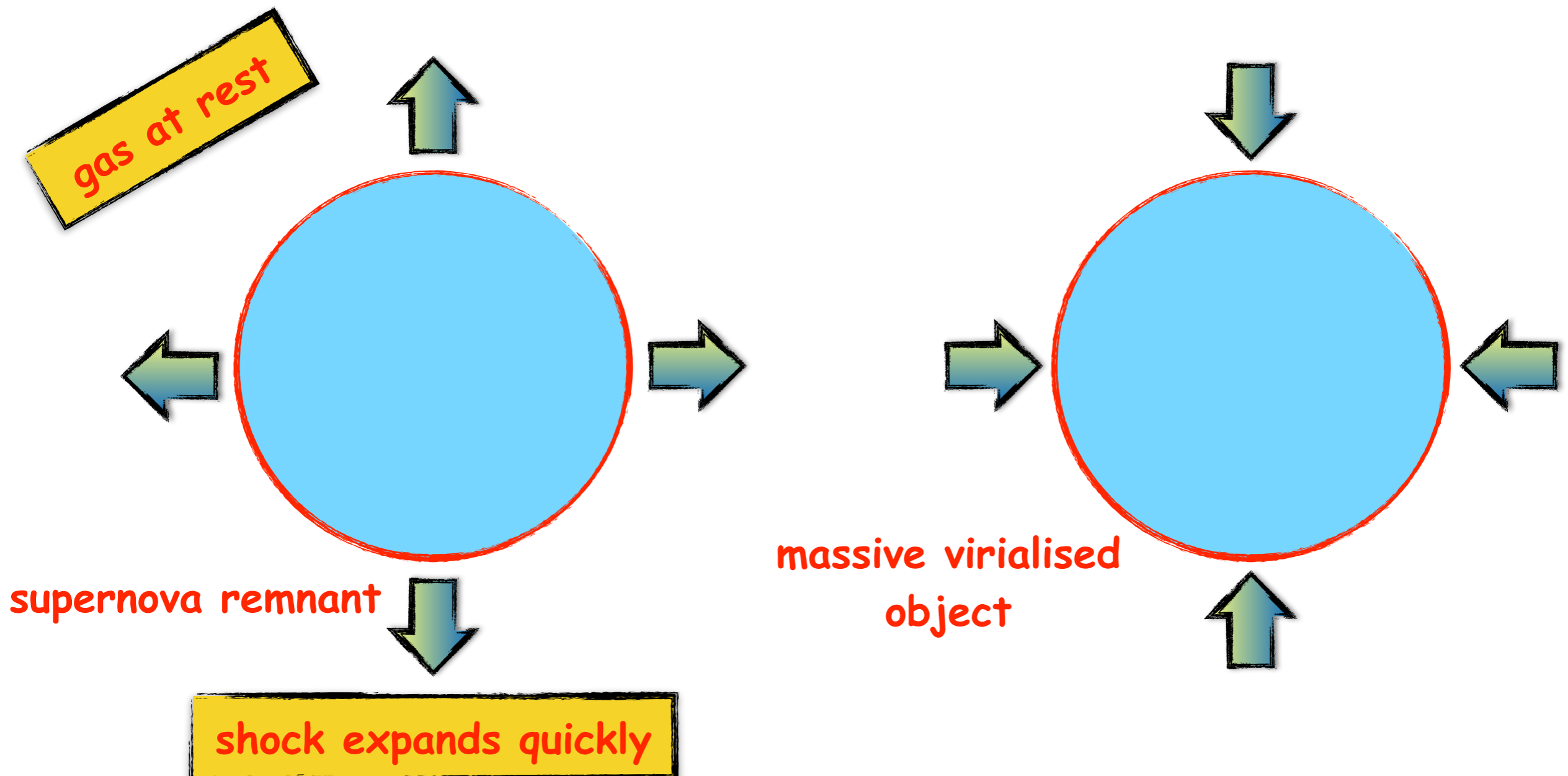
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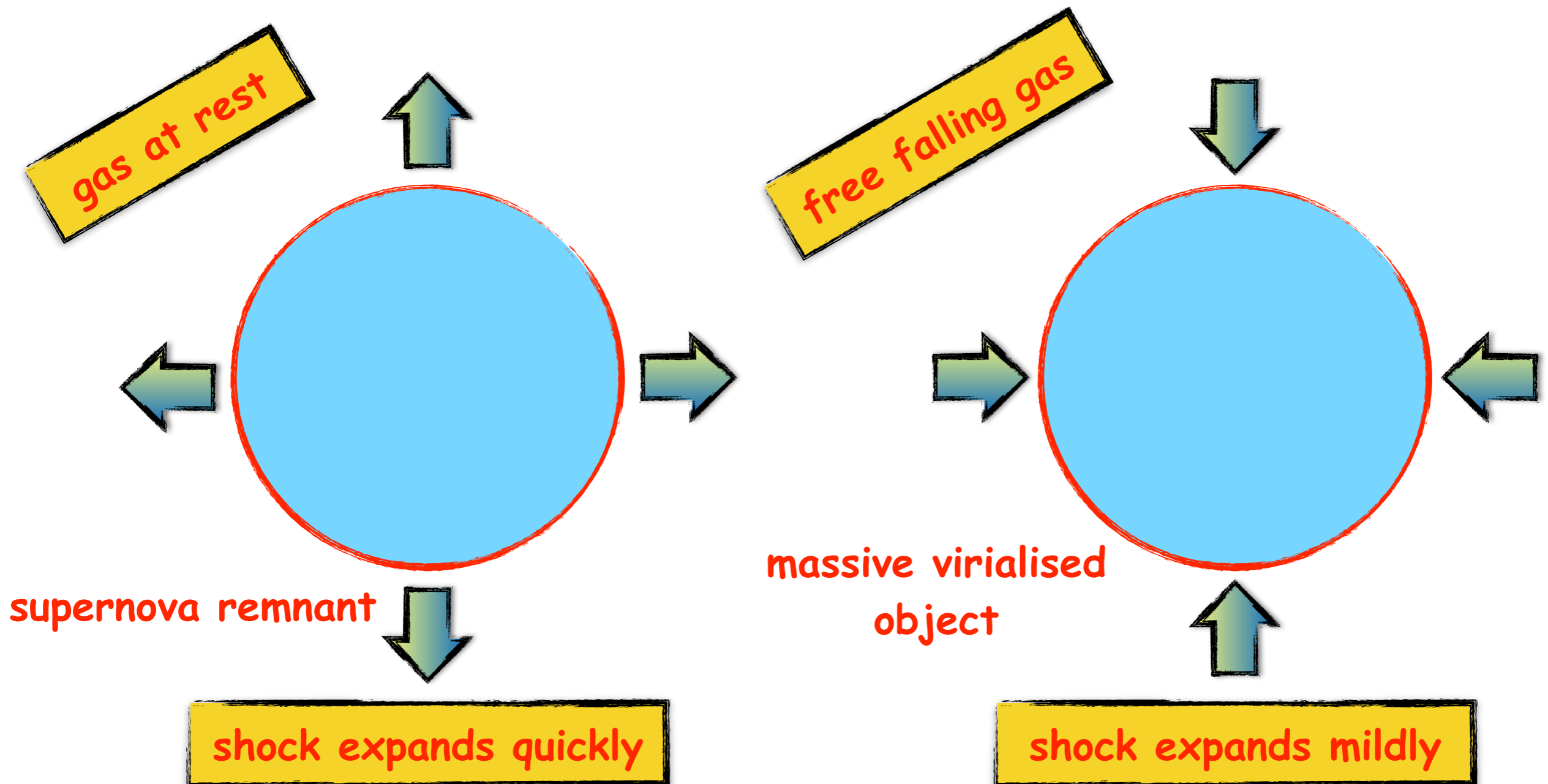
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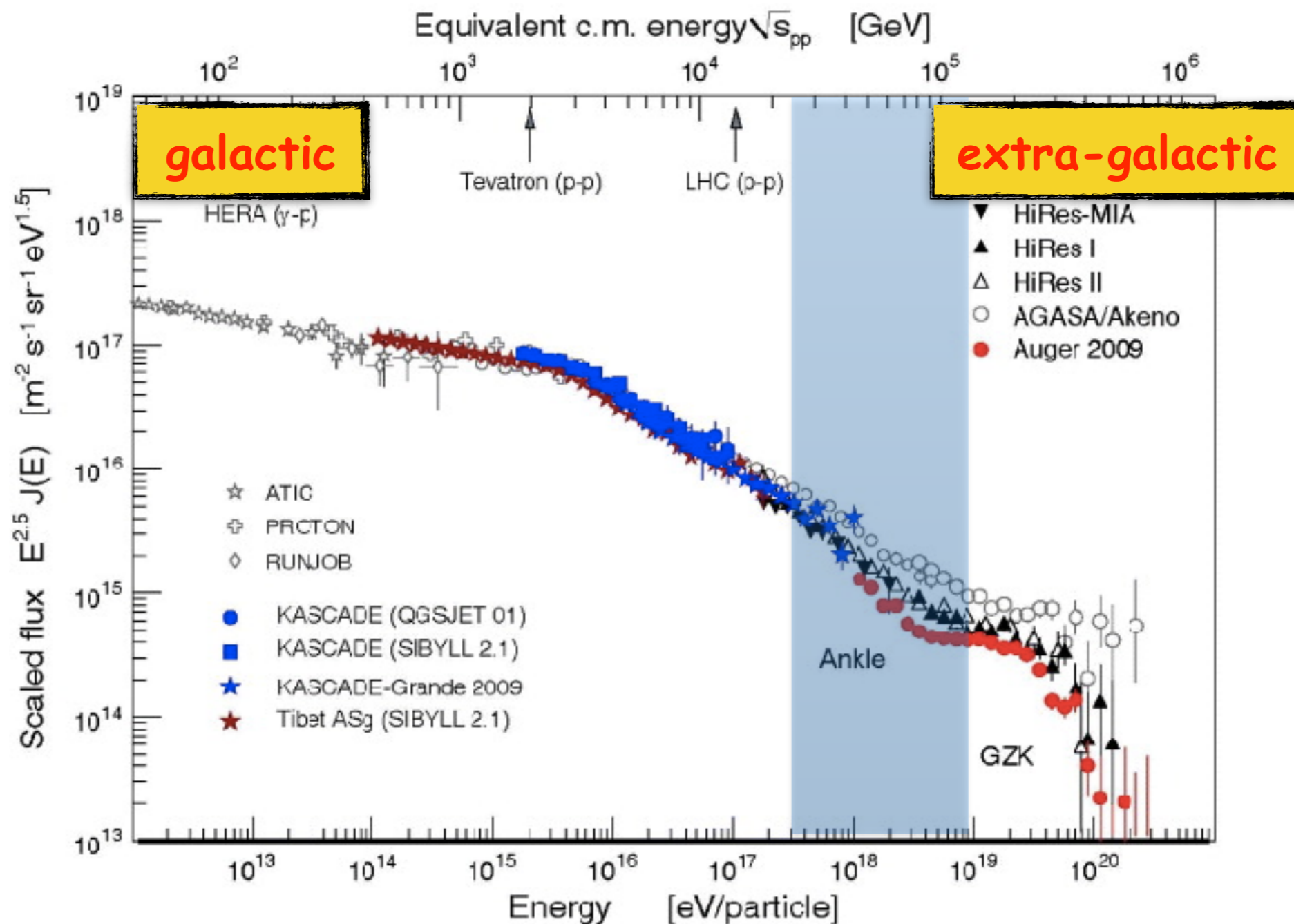


Why it does make sense to talk about SNRs and GCs in the same talk

Both are cosmic ray (CR) accelerators and, in both cases, particles can be accelerated at non-relativistic shock waves → same acceleration mechanism

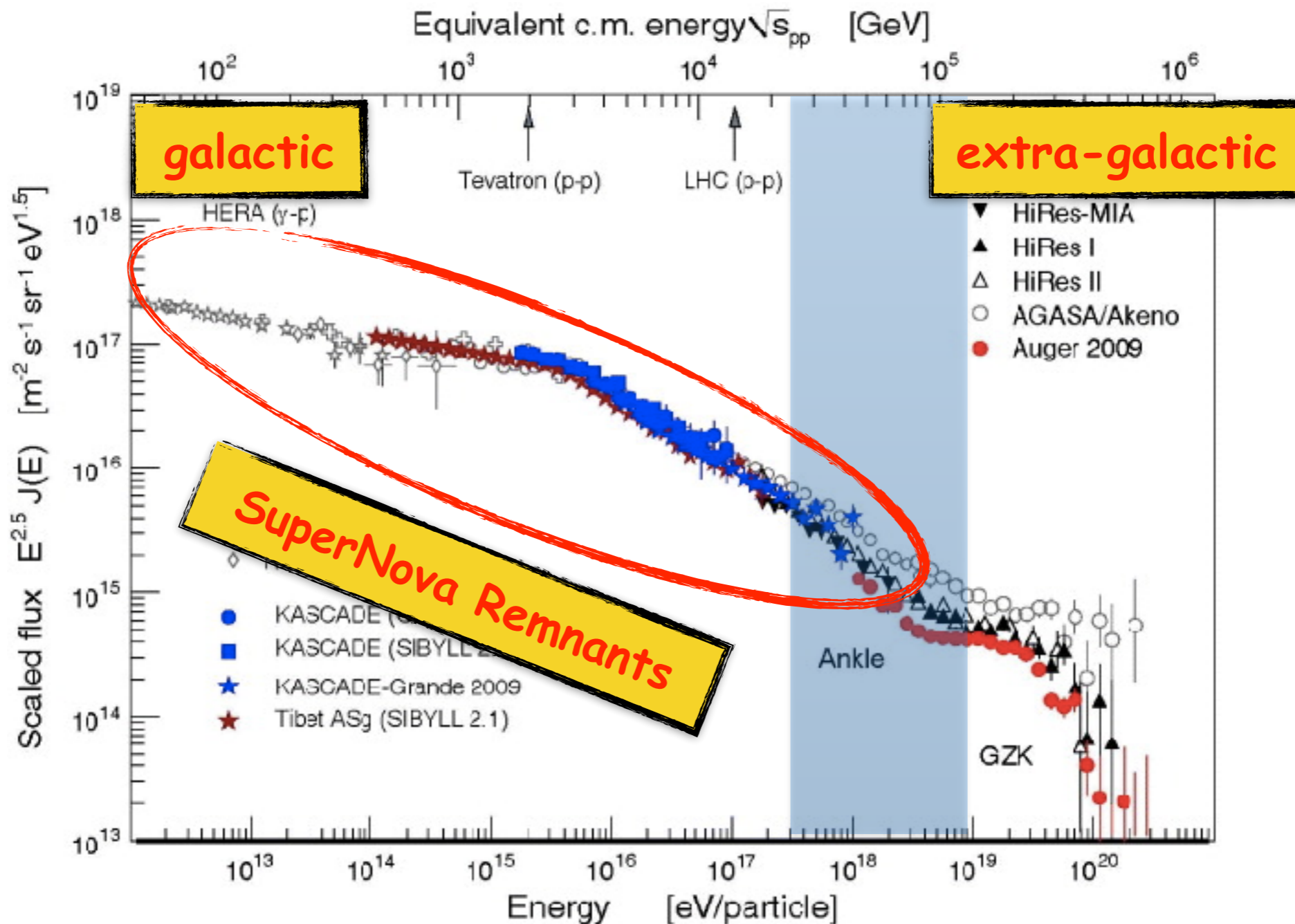
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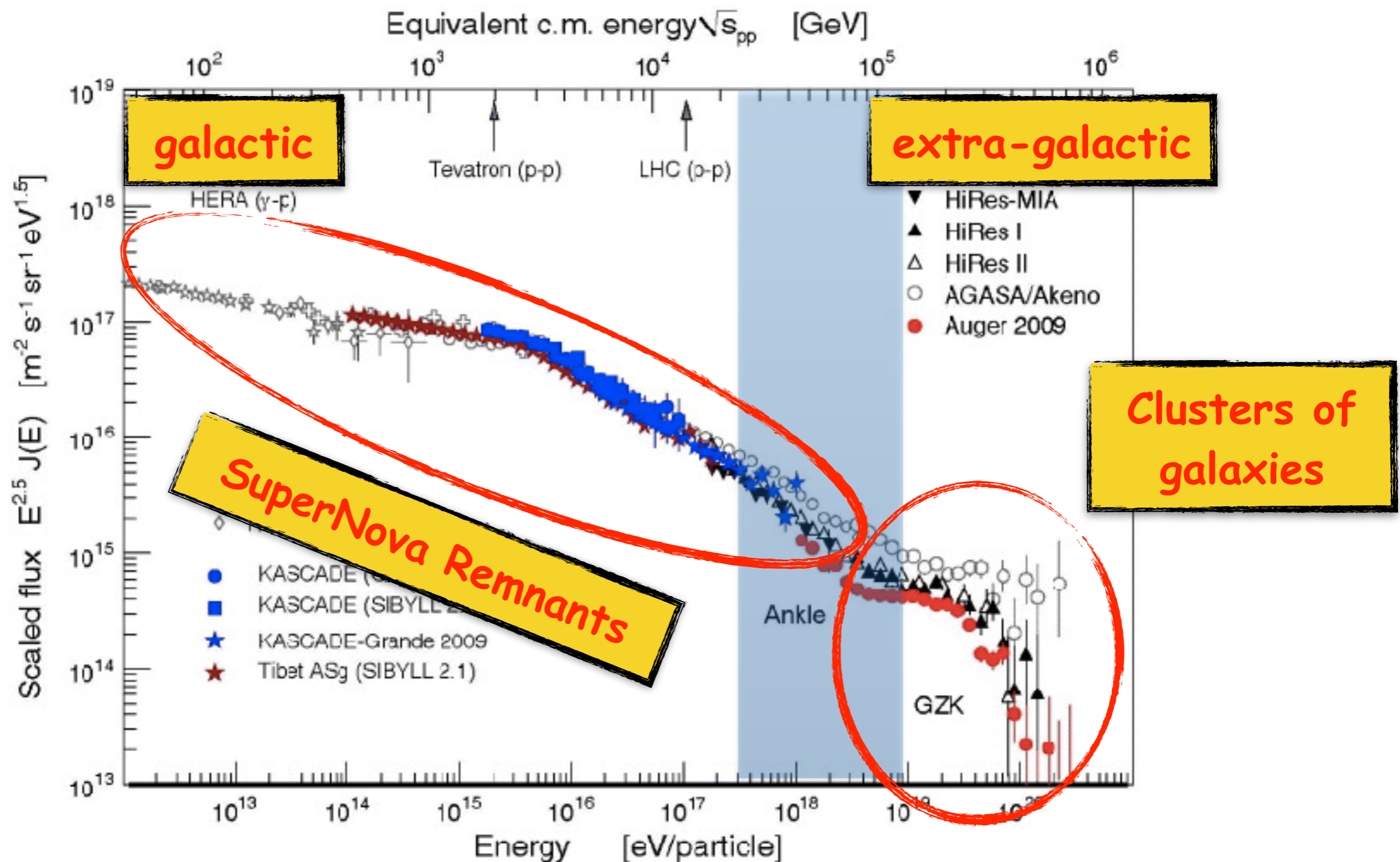
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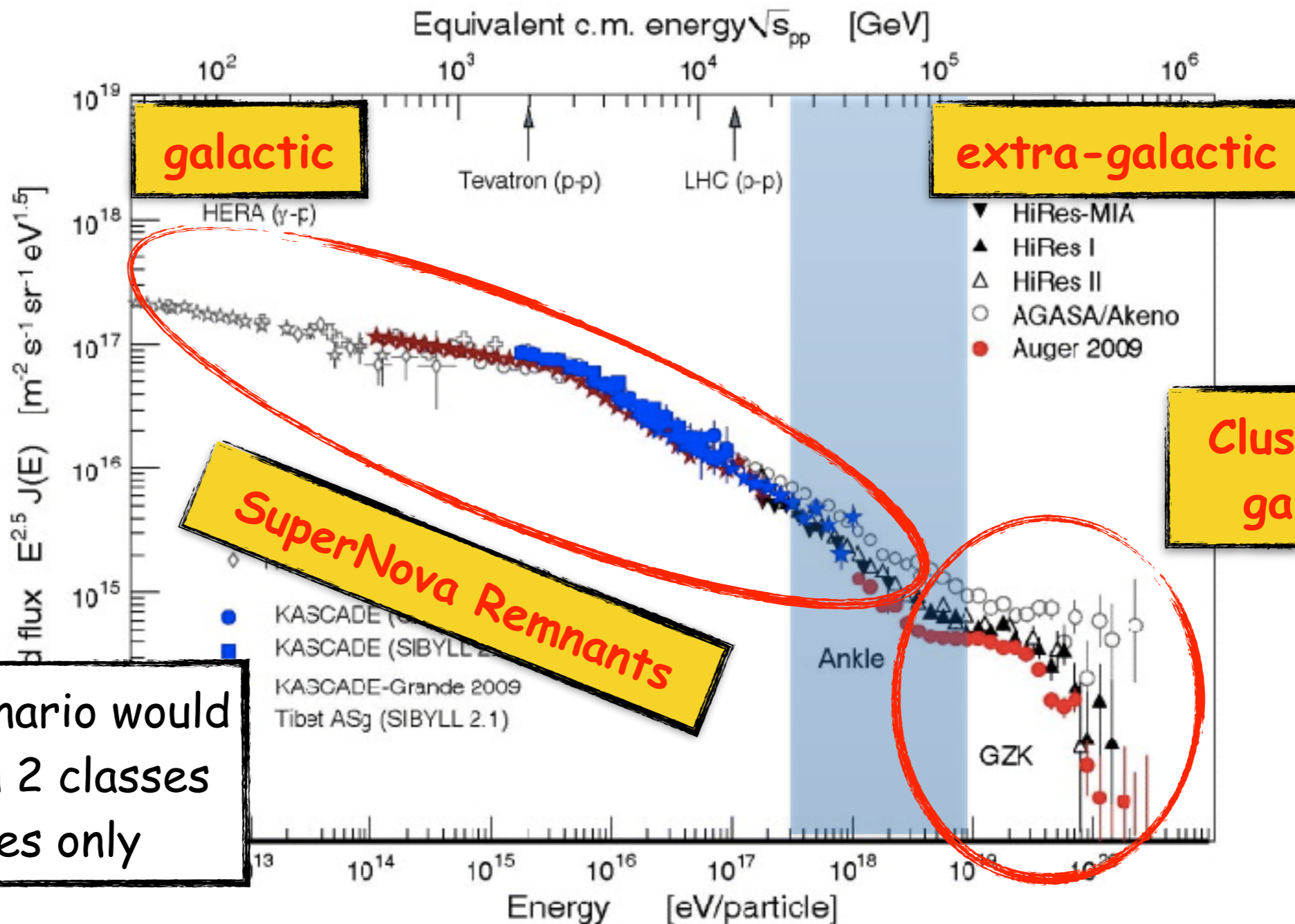
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galactic

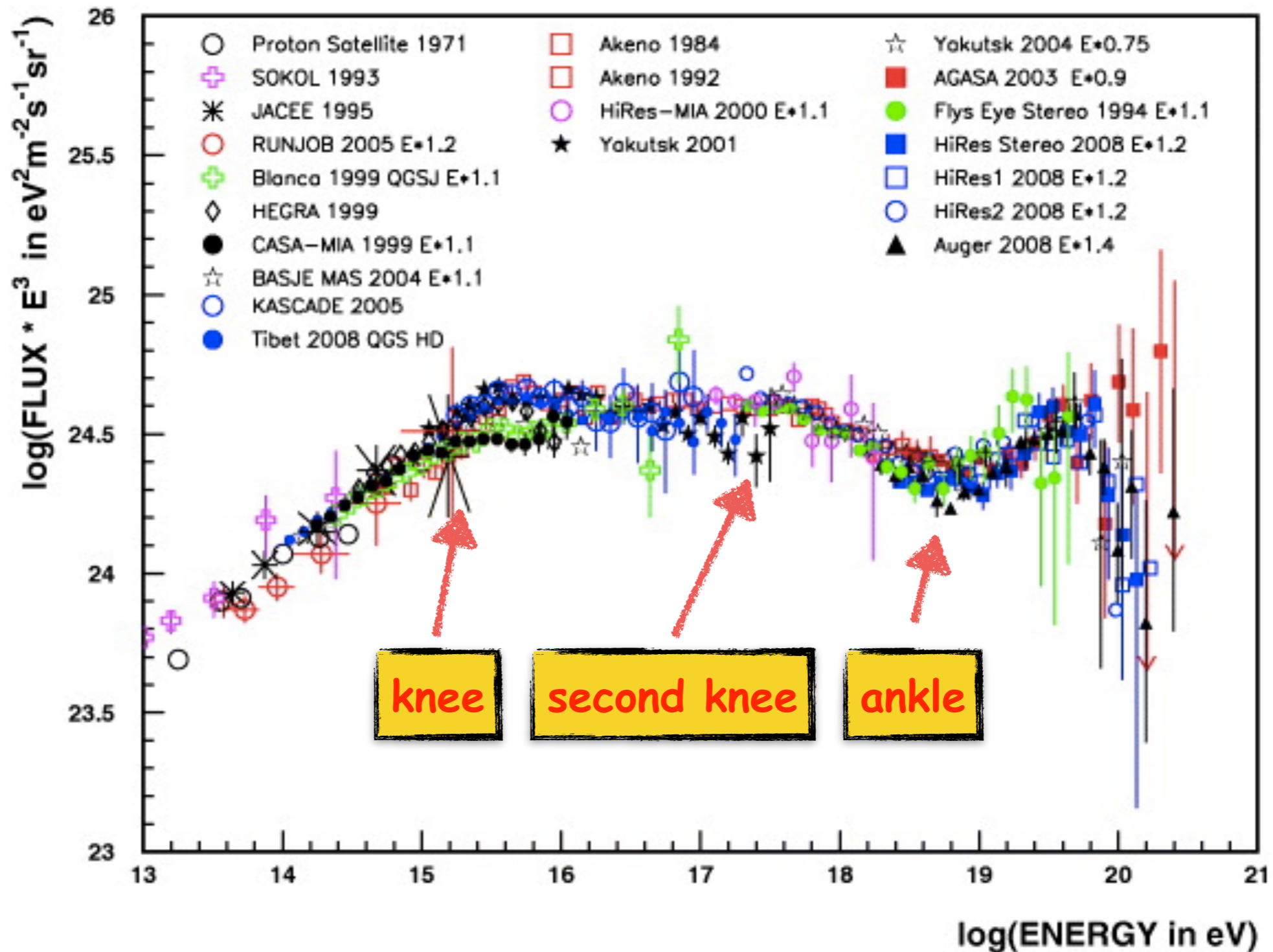
extra-galactic

SuperNova Remnants

Clusters of galaxies

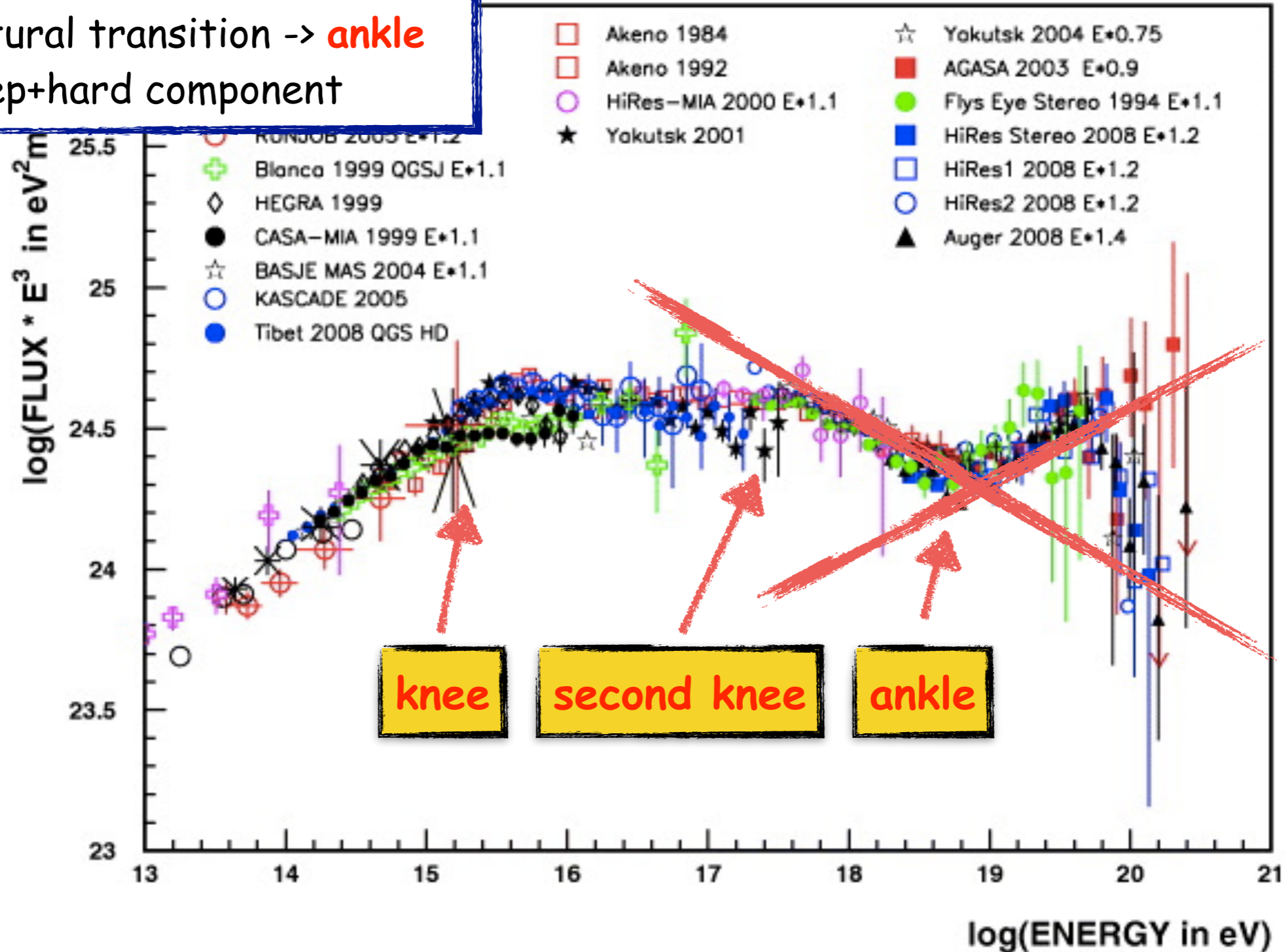
simplest scenario would be based on 2 classes of sources only

Transition from galactic to extra-galactic CRs

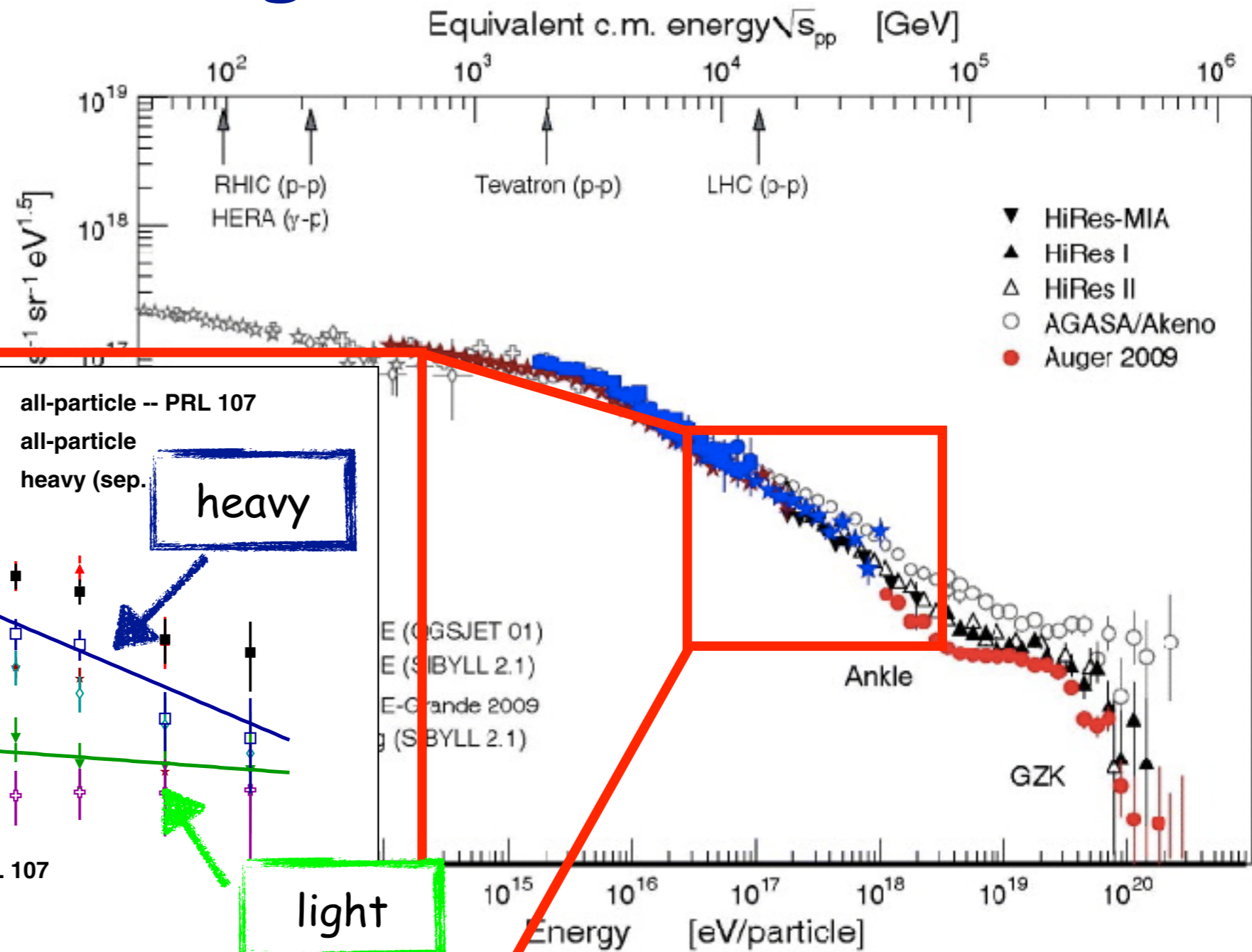


Transition from galactic to extra-galactic CRs

most natural transition -> **ankle**
steep+hard component



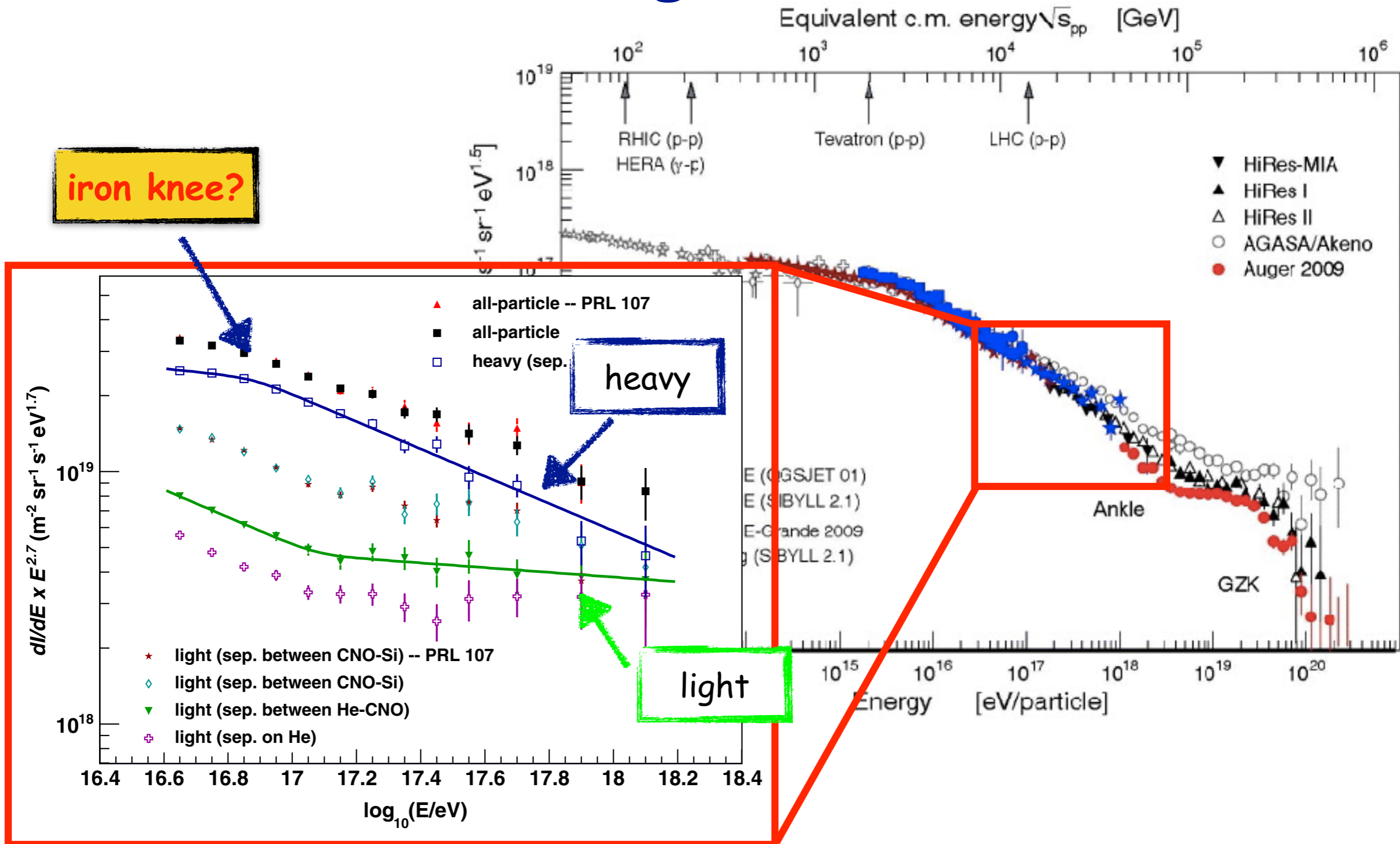
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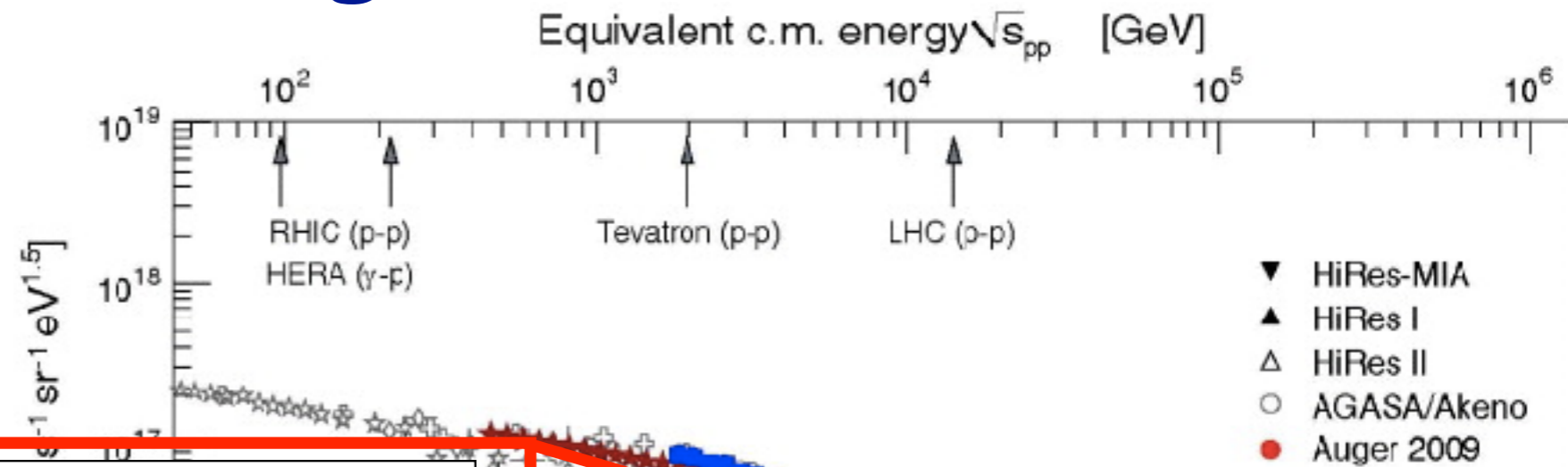
Transition from galactic to extra-galactic CRs

KASCADE-Grande coll. 2013

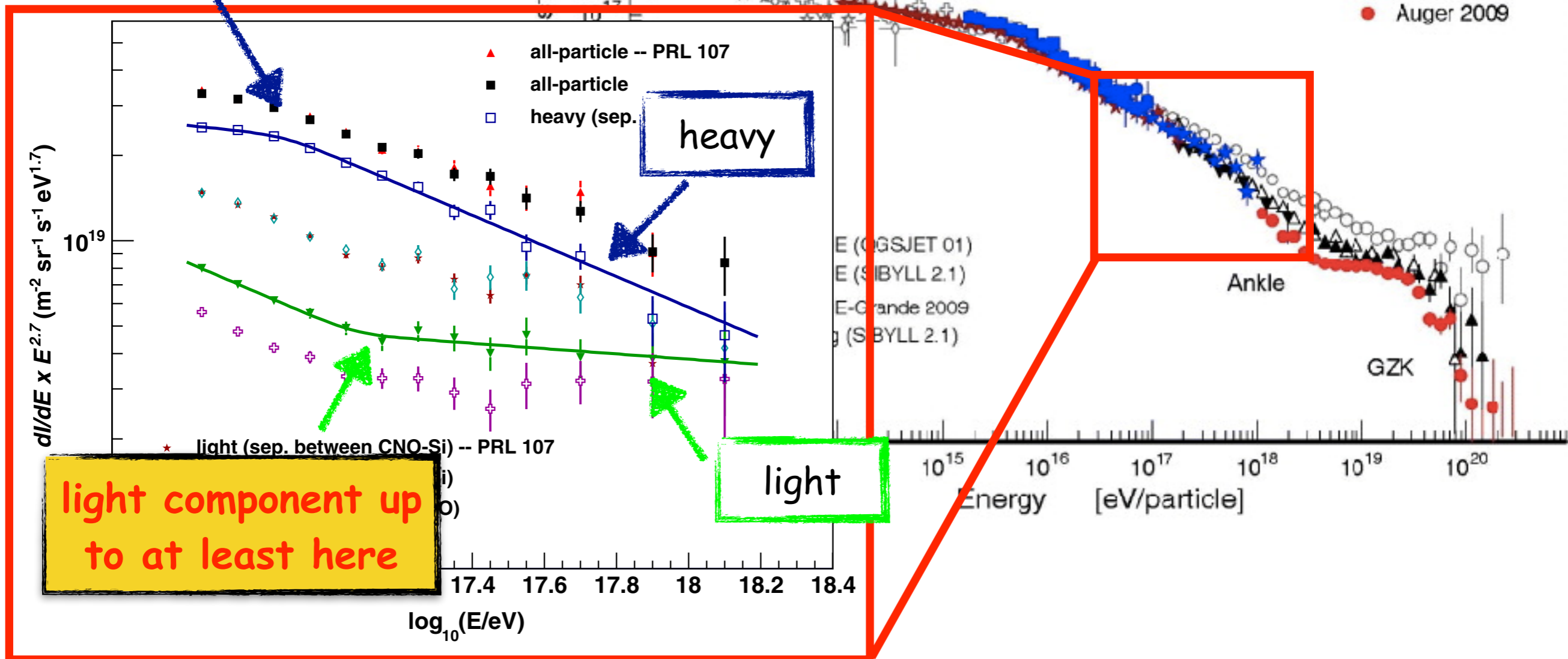
iron knee?



Transition from galactic to extra-galactic CRs



iron knee?



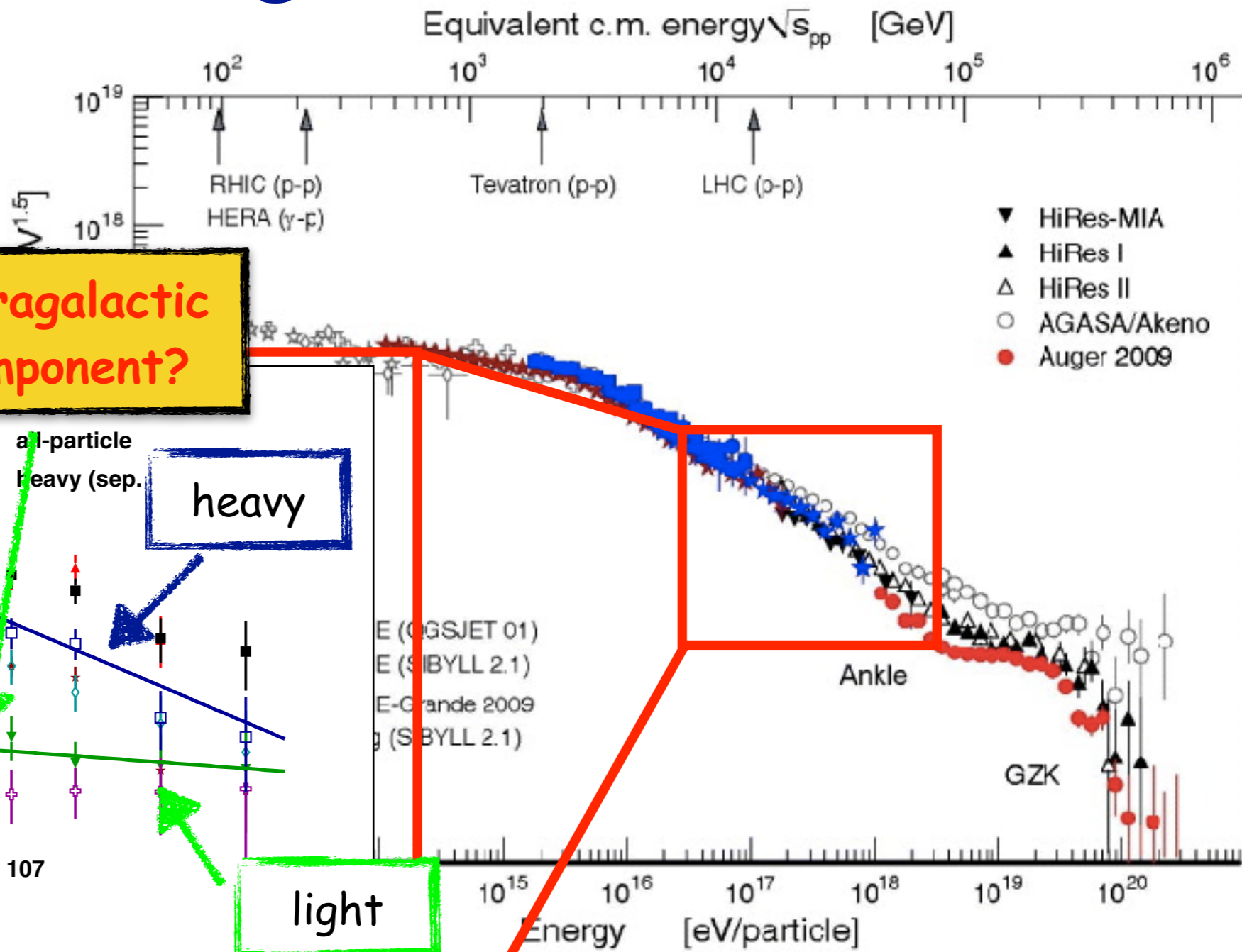
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light component up to at least here

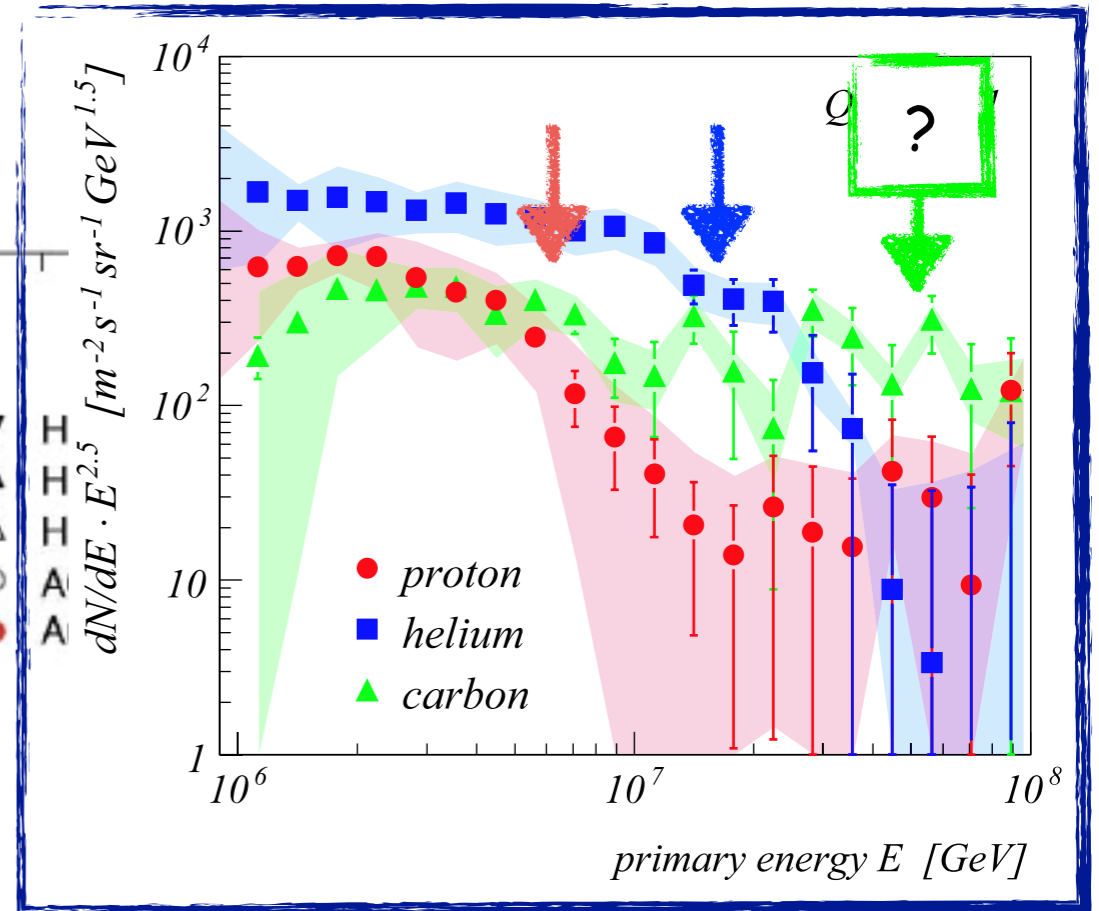
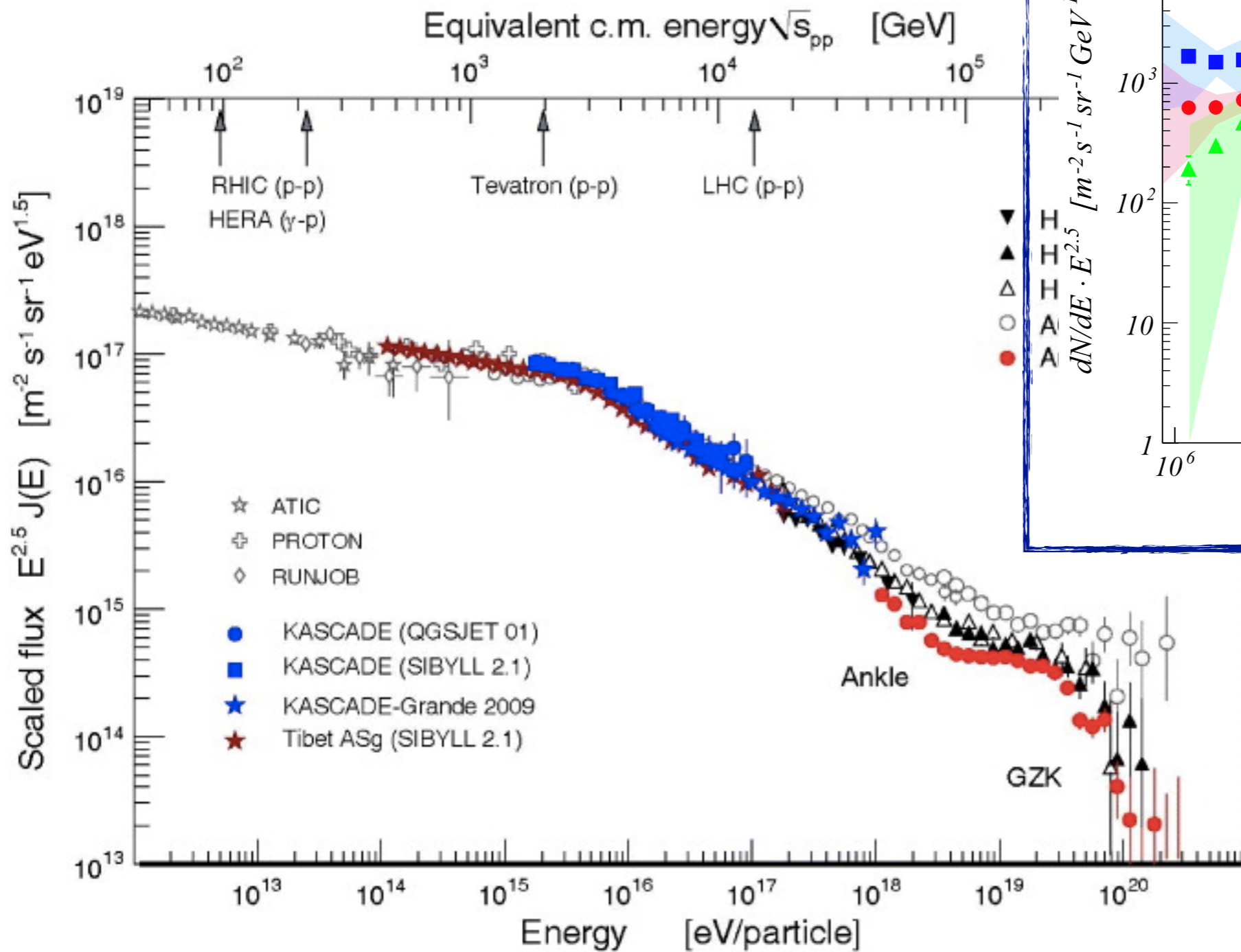
heavy

light

Transition from galactic to extra-galactic CRs

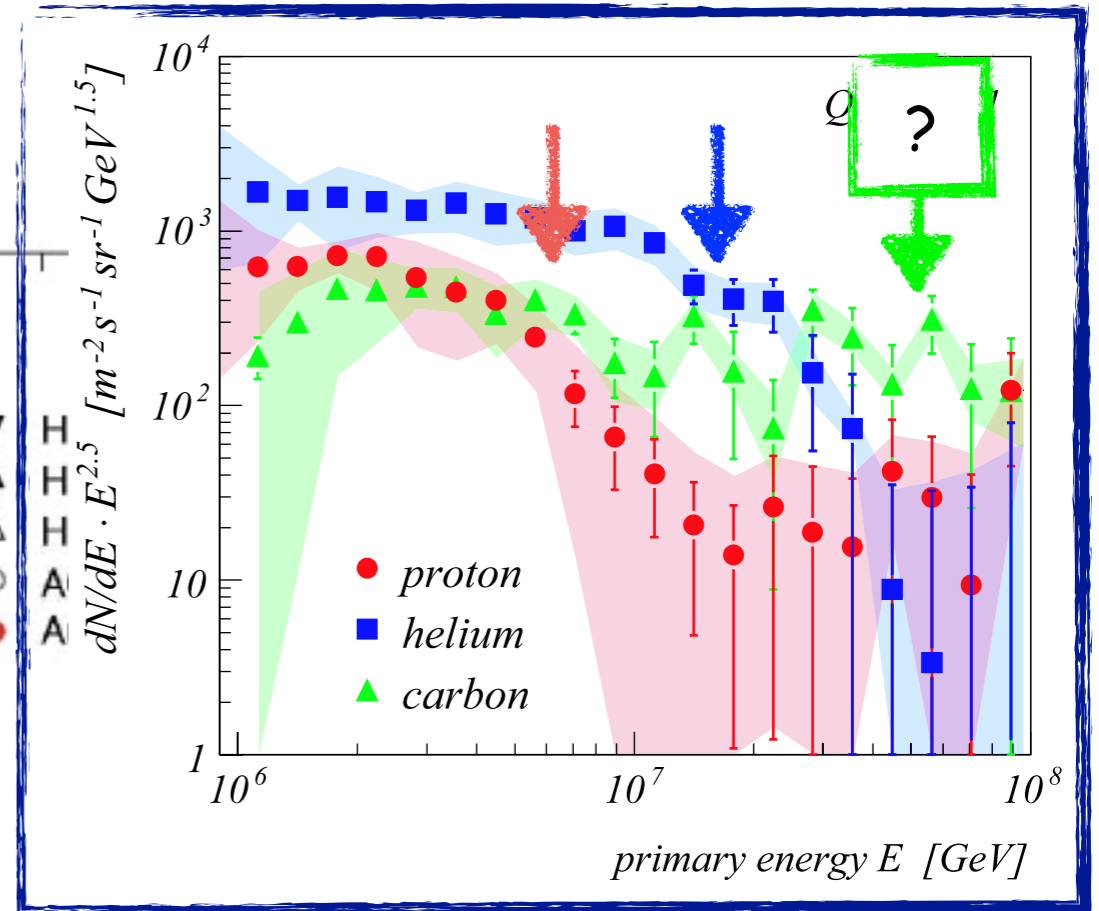
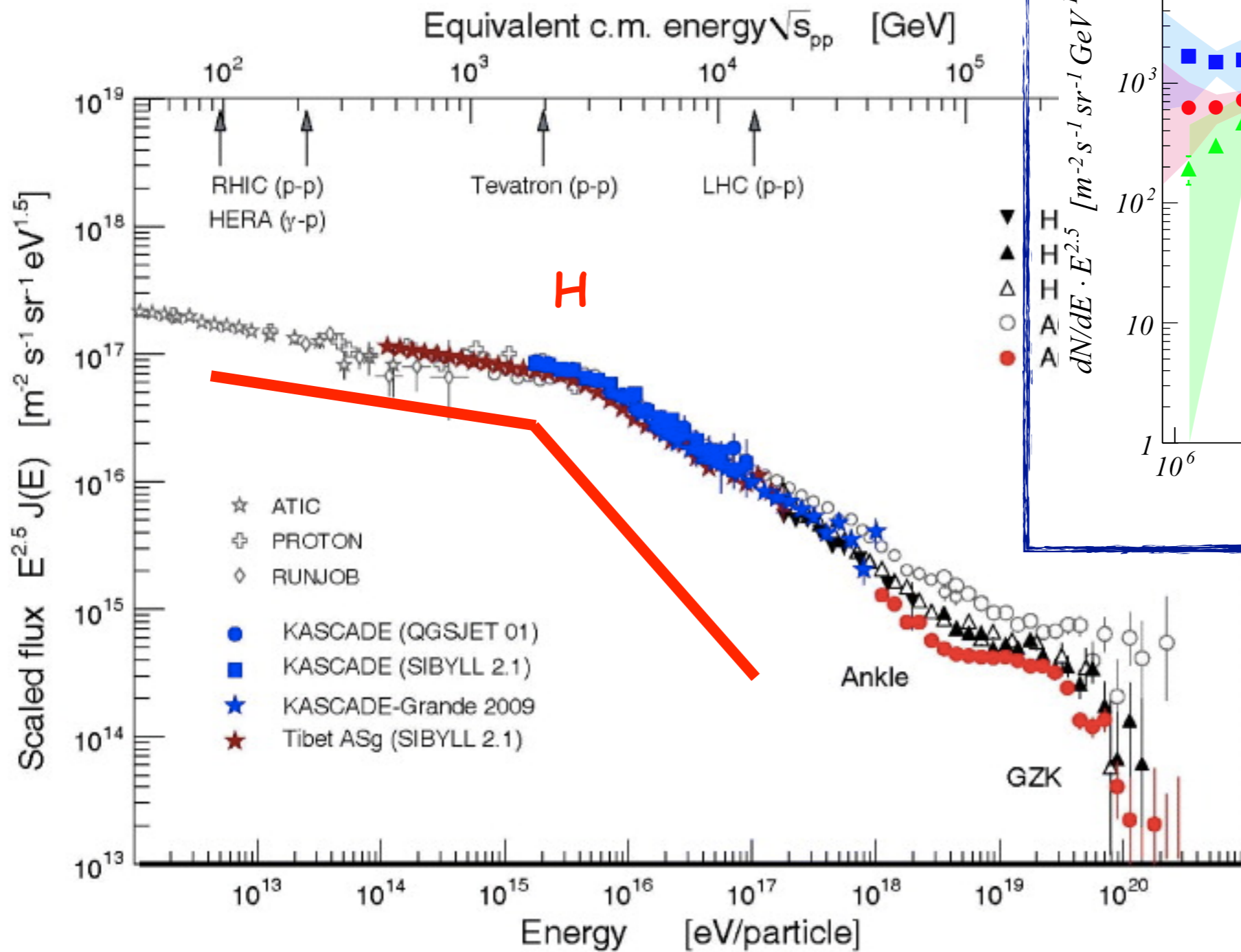


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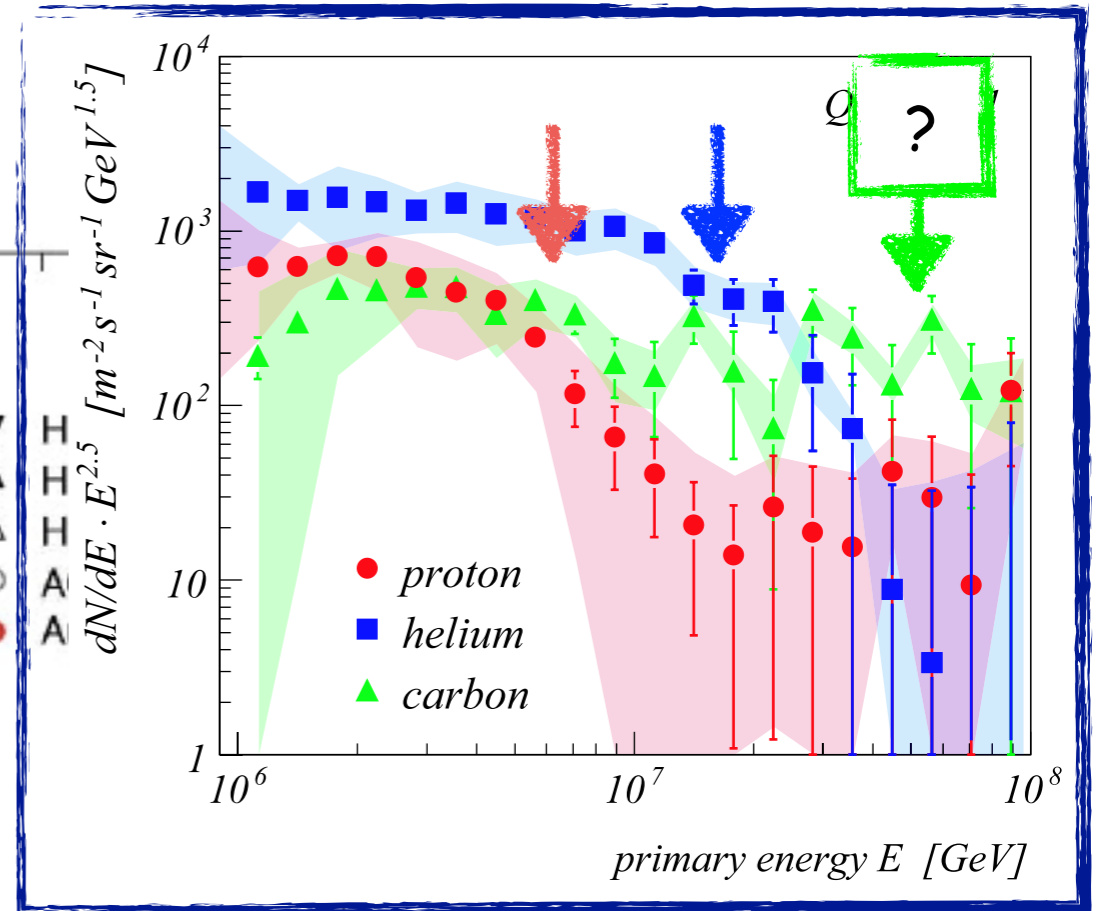
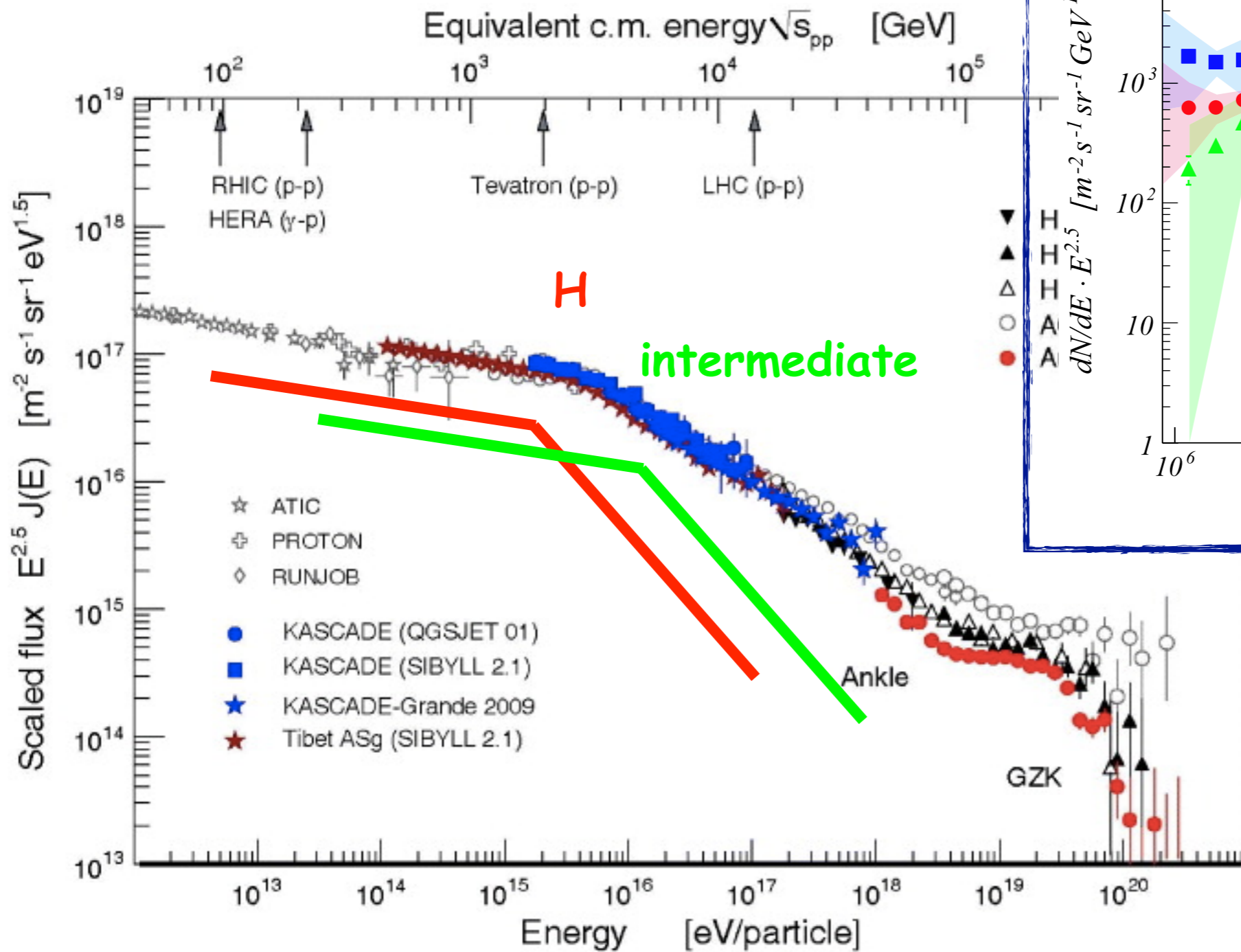
Z-dependent knee

Transition from galactic to extra-galactic CRs



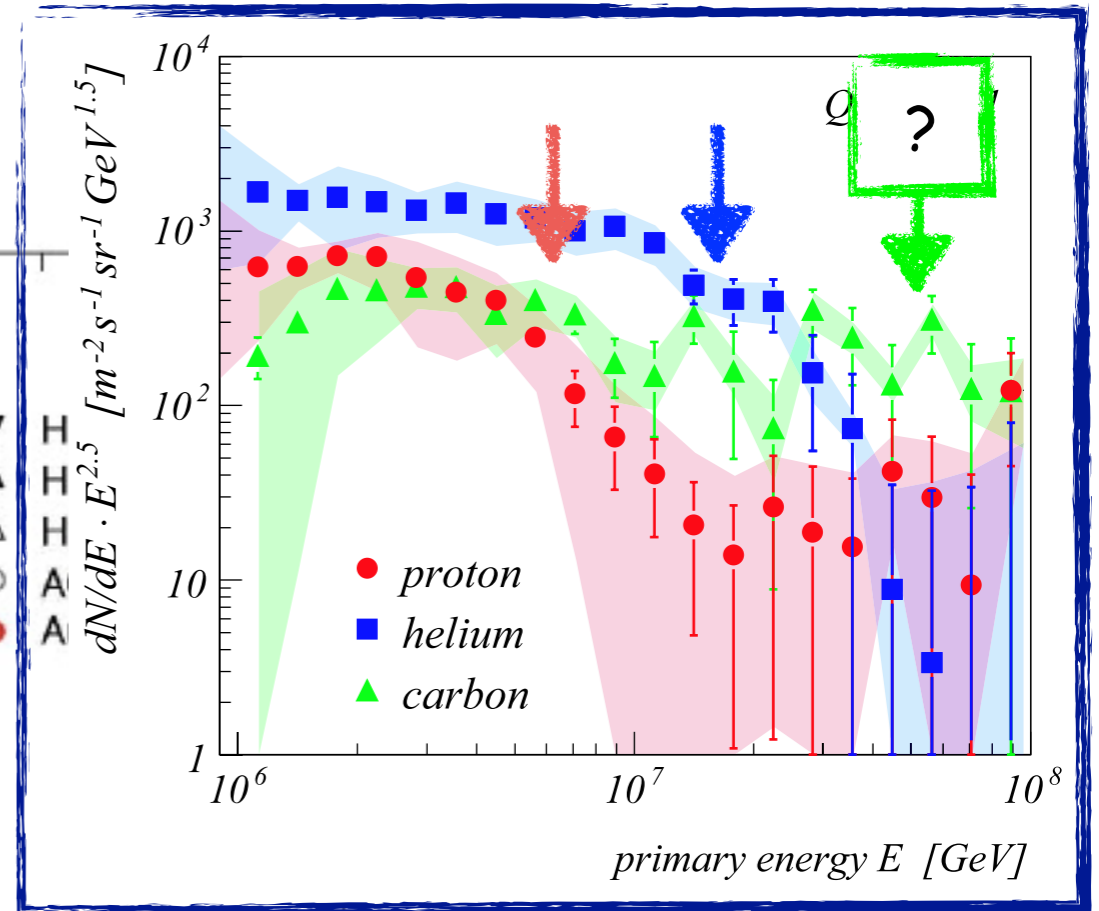
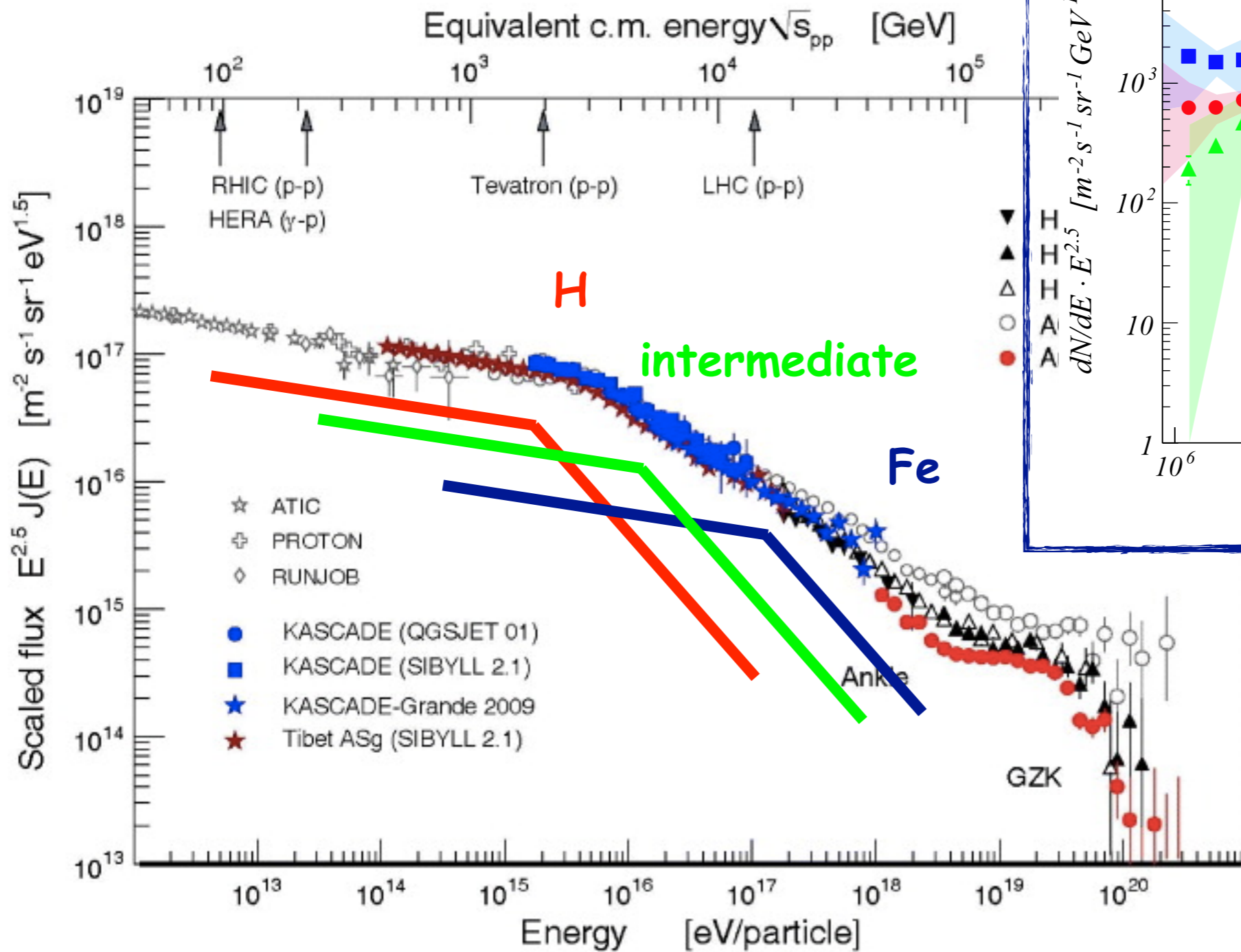
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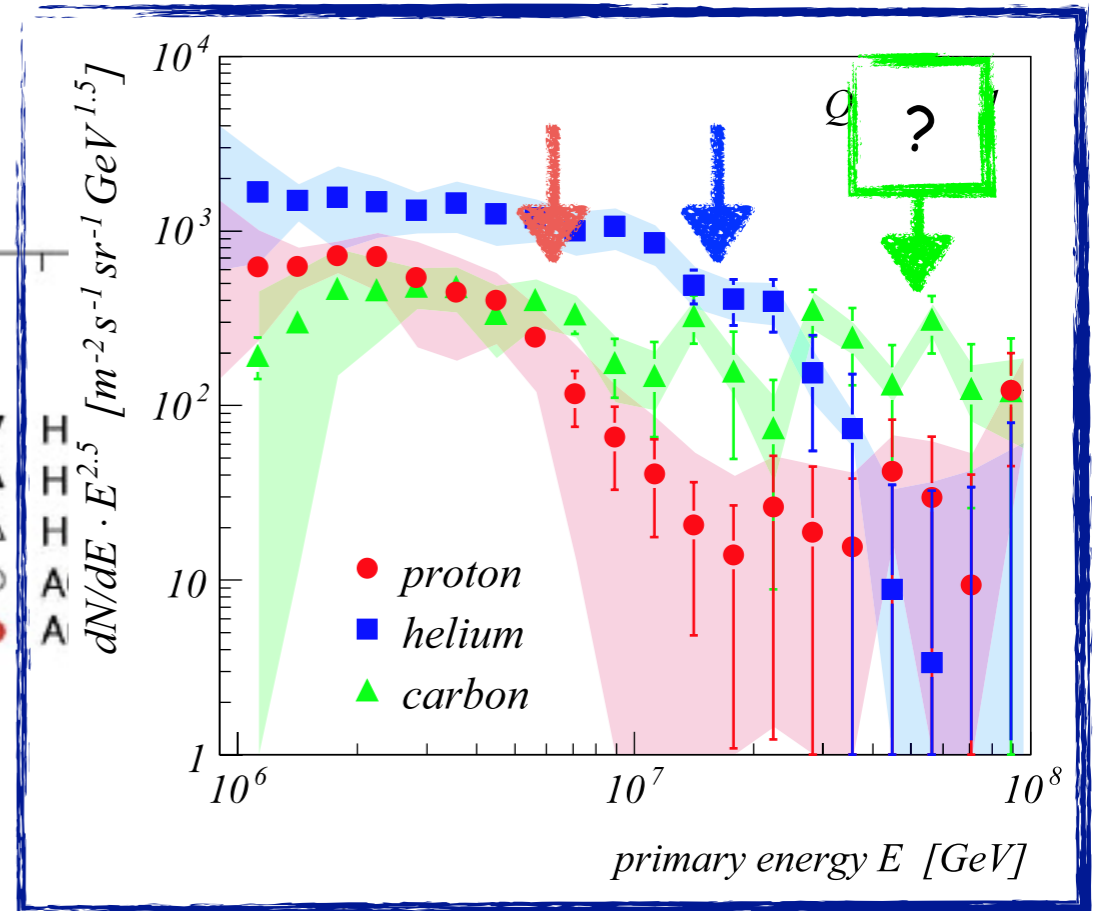
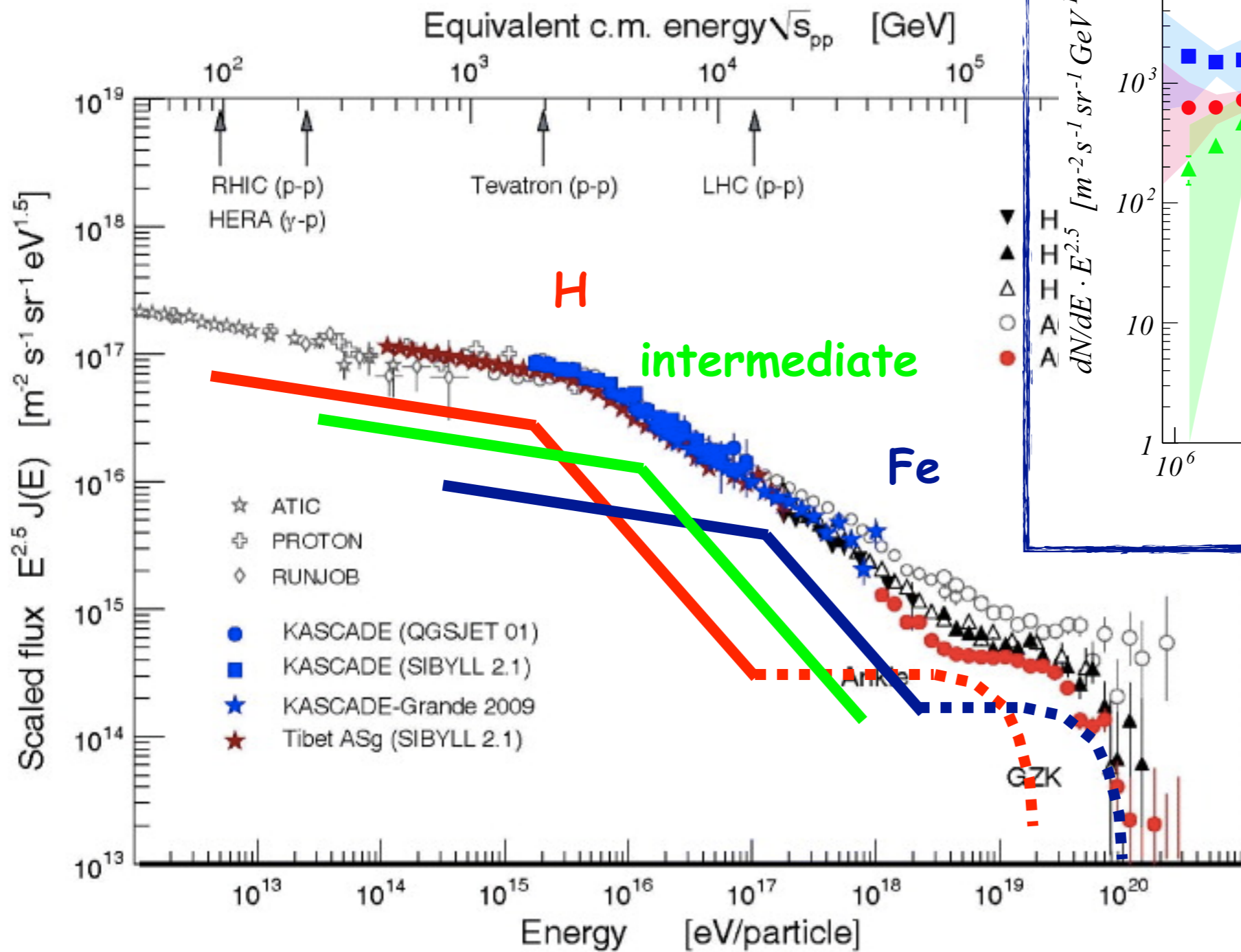
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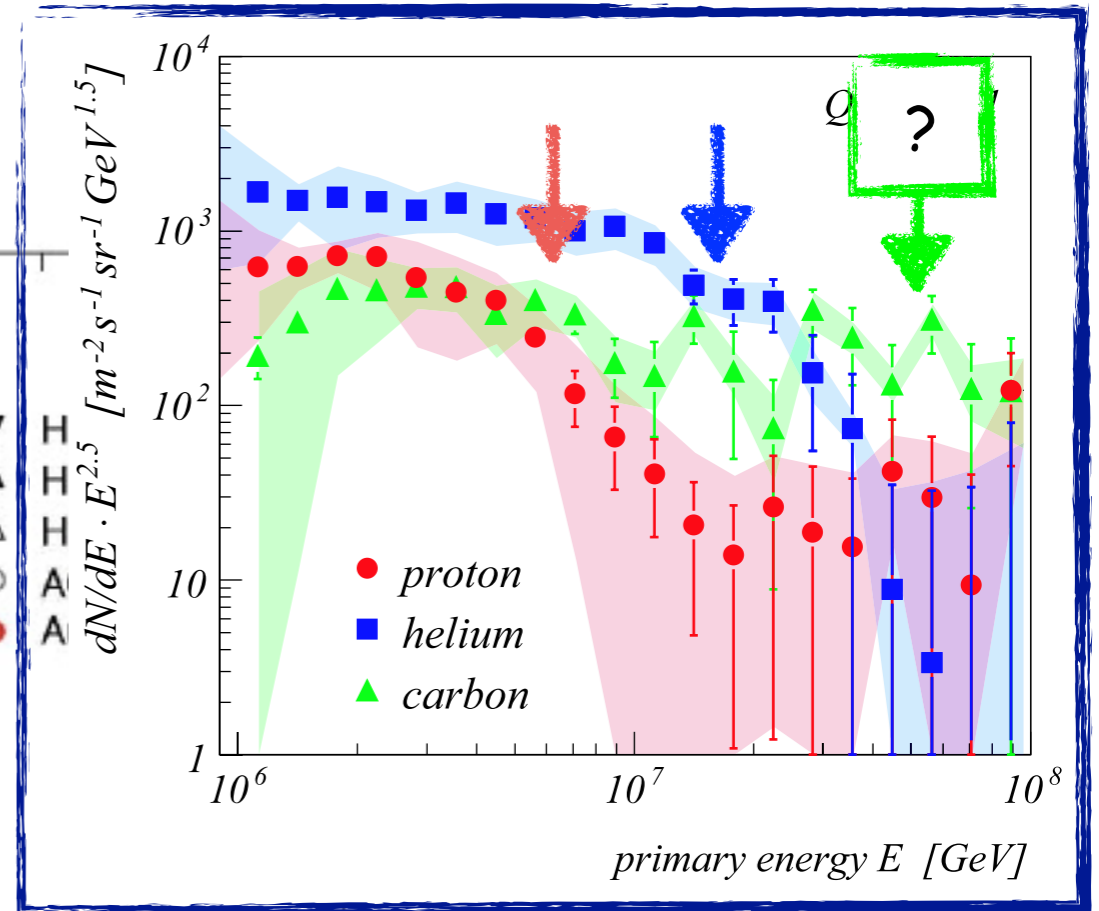
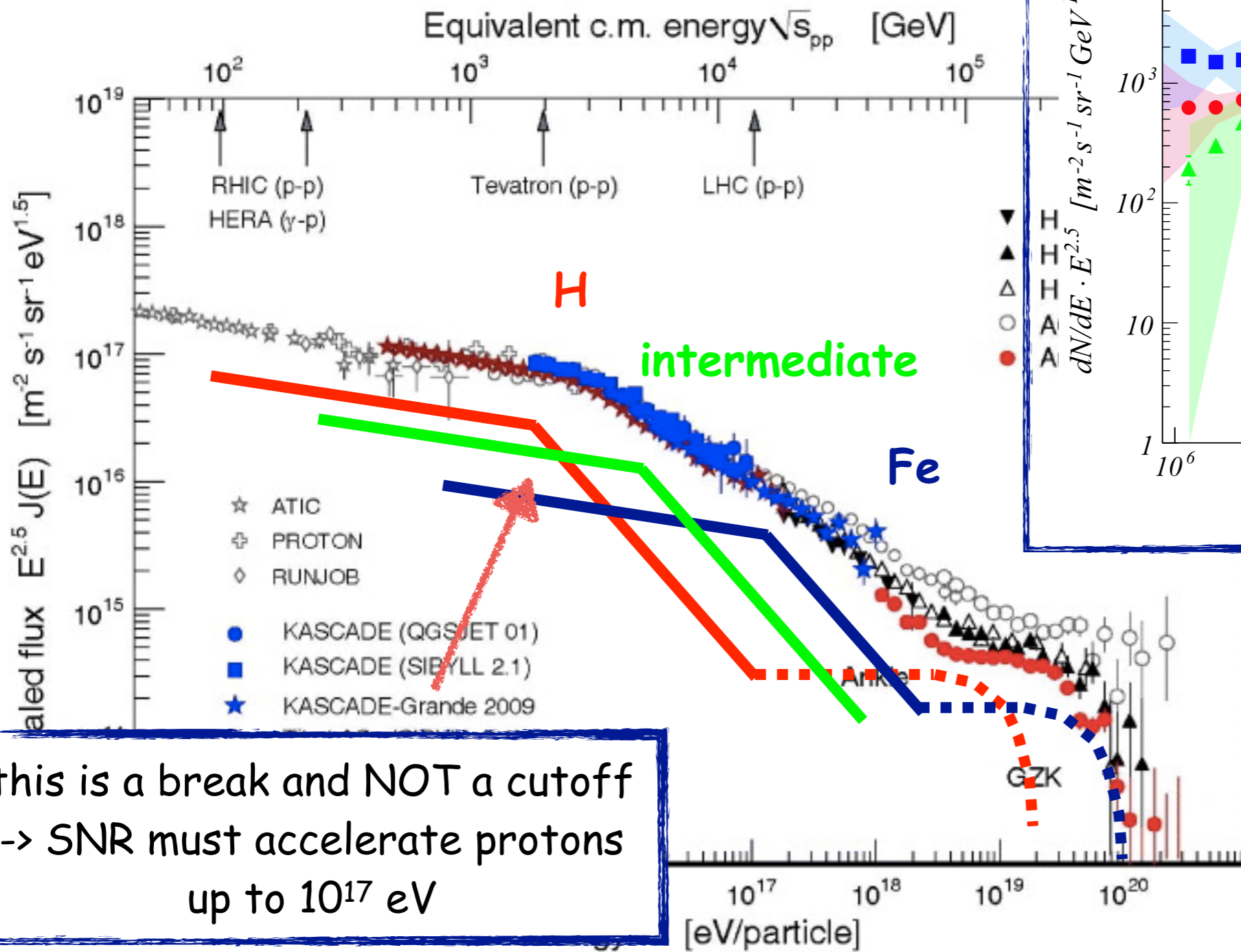
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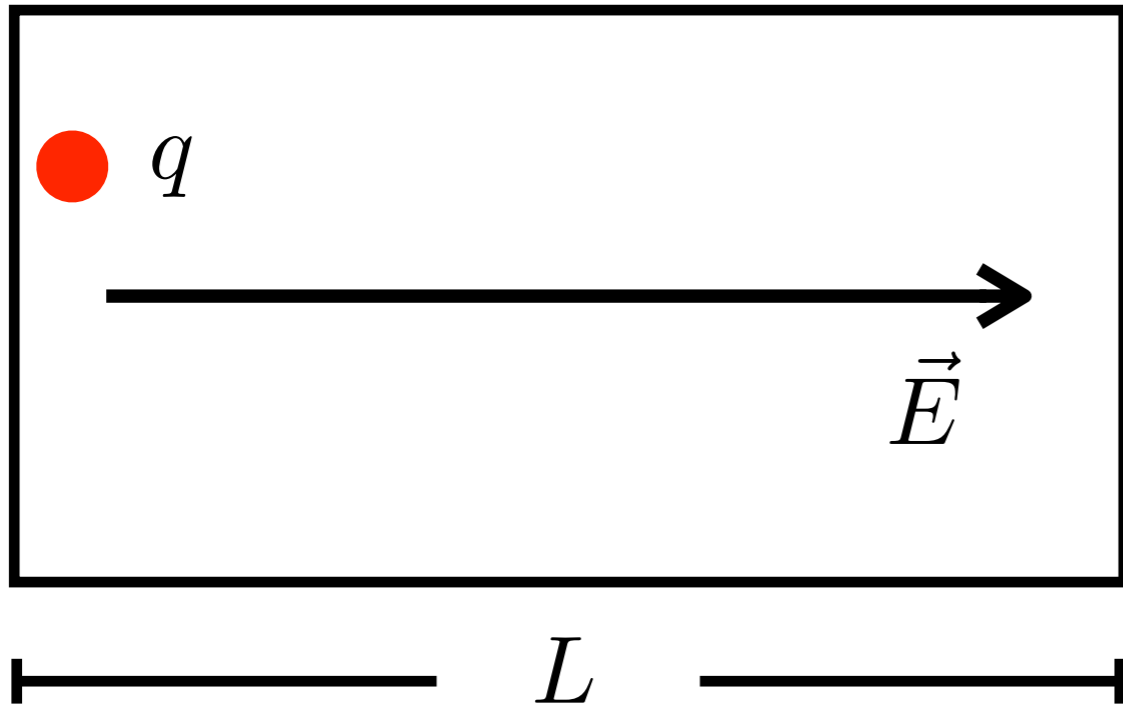


Z-dependent knee

this is a break and NOT a cutoff
-> SNR must accelerate protons
up to 10¹⁷ eV

The Hillas criterion

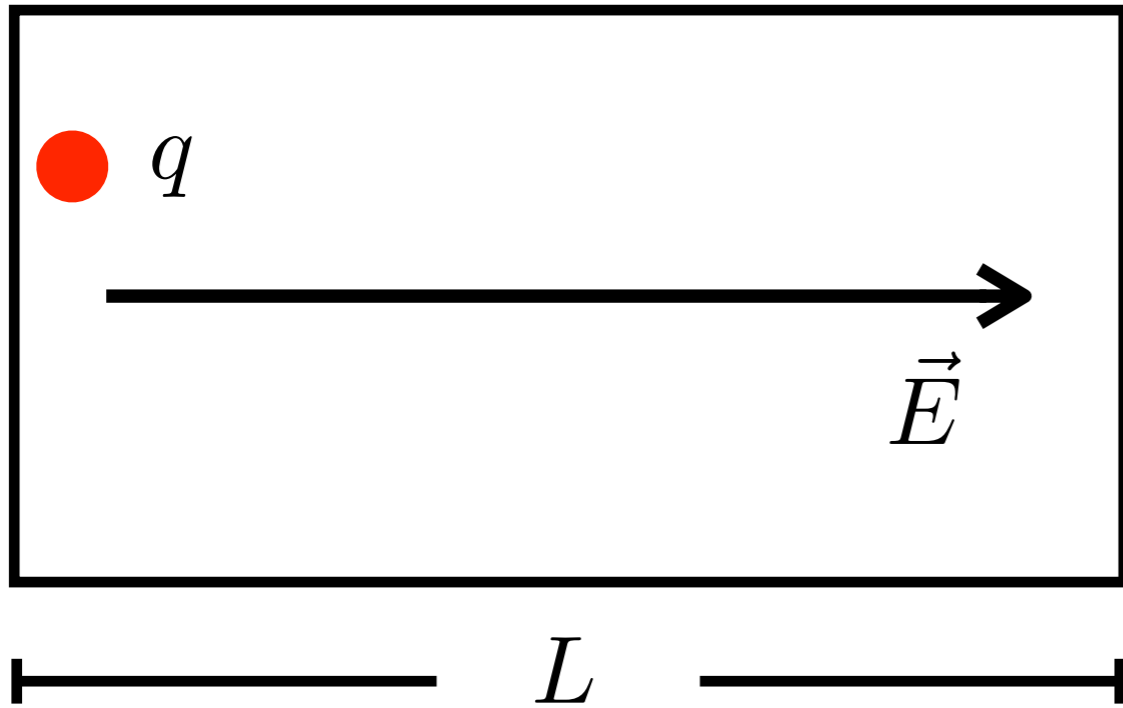
this is the best possible accelerator



The Hillas criterion



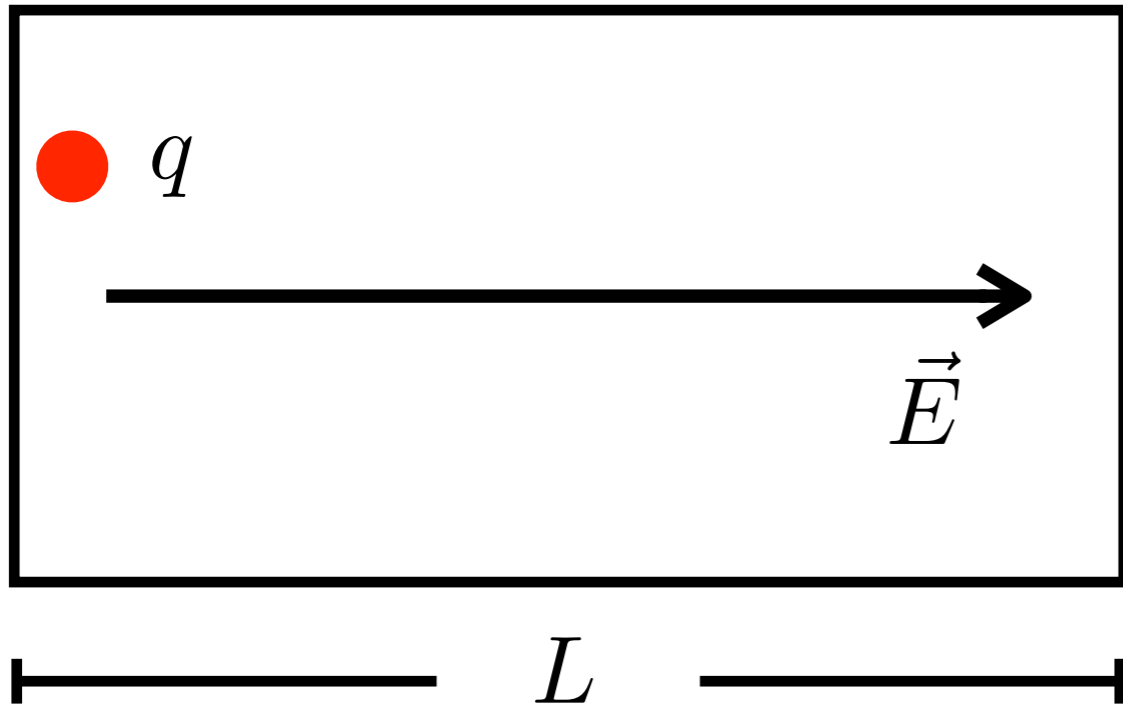
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$$E_{max} = q | \vec{E} | L$$

The Hillas criterion

this is the best possible accelerator



large charge

strong E field

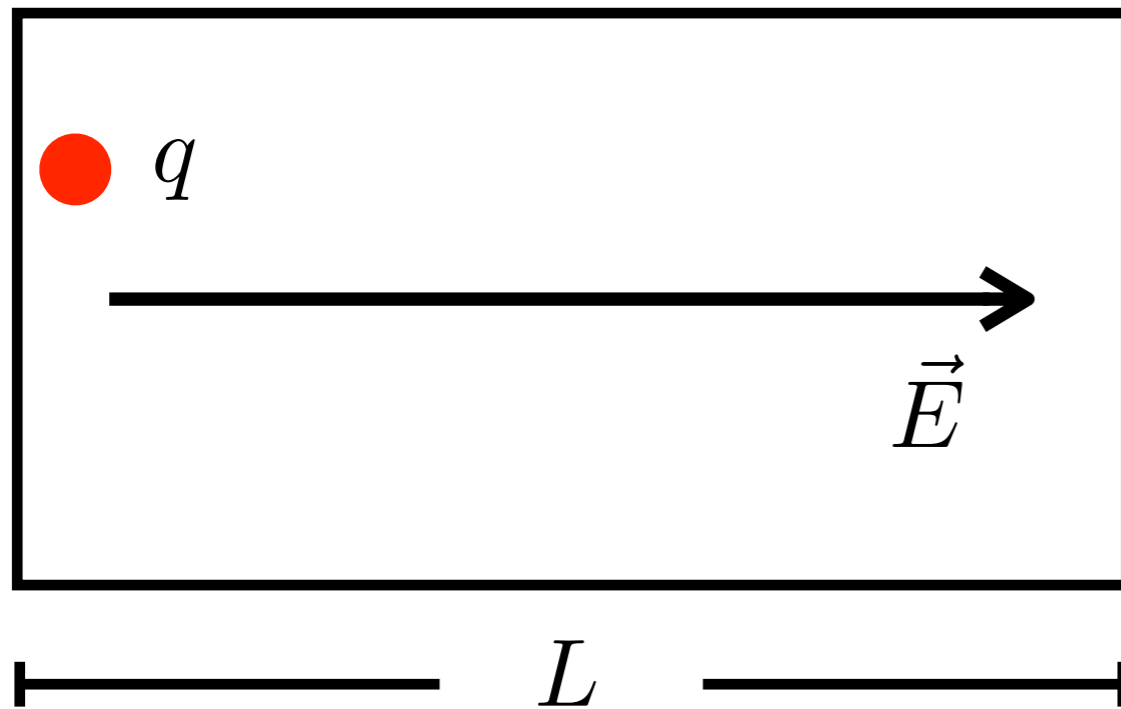
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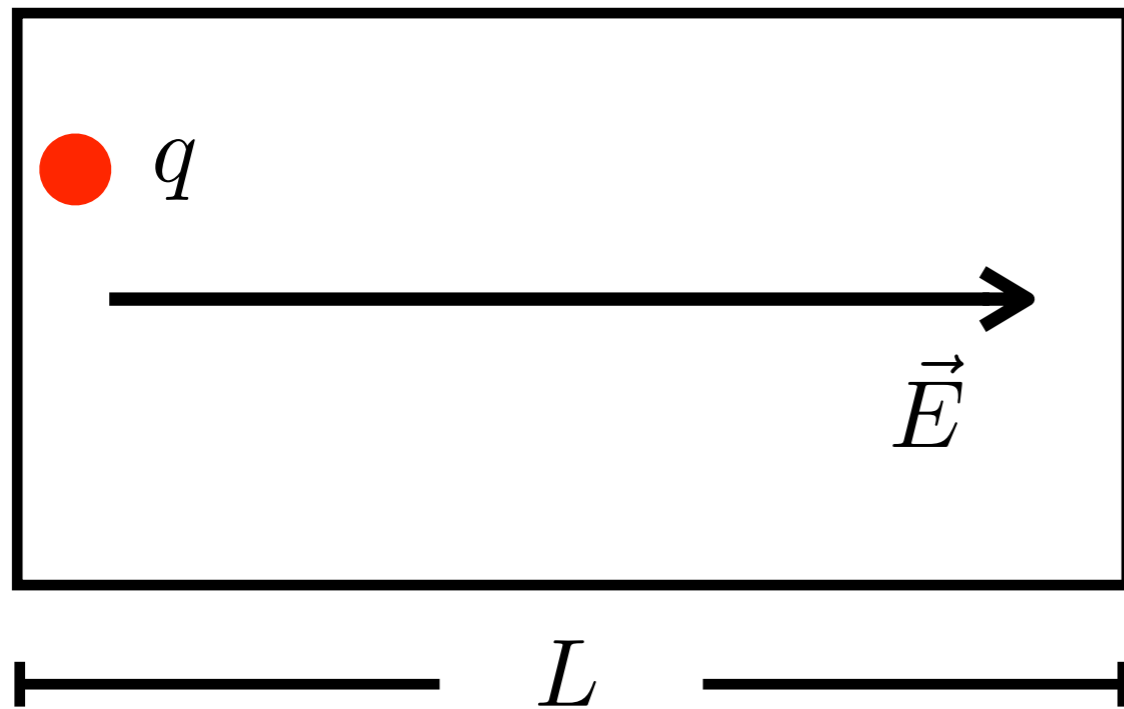
"...a basic property of plasma, its **tendency towards electrical neutrality**. If over a large volume the number of electrons per cubic centimeter deviates appreciably from the corresponding number of positive ions, the electrostatic forces resulting yield a potential energy per particle that is enormously greater than the mean thermal energy. Unless very special mechanisms are involved to support such large potentials, the charged particles will rapidly move in such a way as to reduce these potential difference, i.e., to restore electrical neutrality."

(Lyman Spitzer "Physics of fully ionised gases")

The Hillas criterion



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large accelerator

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$$| \vec{E} | \sim 0$$

(Lyman Spitzer "Physics of fully ionised gases")

The Hillas criterion

$$E_{max} = q |\vec{E}| L \quad \rightarrow \text{derived for a static electric field}$$



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Faraday law

$$\nabla \times \vec{E} = -\frac{1}{c} \frac{\partial \vec{B}}{\partial t} \quad \rightarrow \text{a time-varying B is a source of E!}$$

The Hillas criterion



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Faraday law

$$\nabla \times \vec{E} = -\frac{1}{c} \frac{\partial \vec{B}}{\partial t} \quad \rightarrow \text{a time-varying B is a source of E!}$$

characteristic length

$$\nabla \times \rightarrow \frac{1}{L}$$

$$\frac{\partial}{\partial t} \rightarrow \frac{1}{T}$$

characteristic time

The Hillas criterion



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$$E \approx \frac{L}{T} \frac{B}{c} \approx \frac{U}{c} B$$

characteristic velocity

The Hillas criterion



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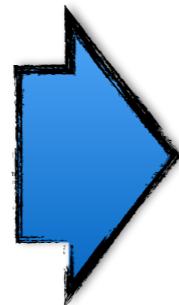
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characteristic velocity

$$E_t^{max} \approx \left(\frac{q}{c} \right) B U L$$

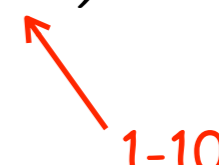
electric charge

velocity

B-field

size

The Hillas criterion applied to SNRs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$


1-10

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↑
how fast are
SNR shock?

1-10

SNR shocks in one slide



stellar explosion of energy $E_{\text{SN}} = 10^{51}$ erg ejecting M_{ej} solar masses

early times \rightarrow

$$M_{\text{ej}} \gg M_{\text{sw}}$$

← mass of the ISM swept up
by the shock

SNR shocks in one slide



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SNR shocks in one slide



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$$M_{ej} \ll M_{sw}$$



solution must depend on ρ (ISM density) and not M_{ej} !

SNR shocks in one slide



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SNR shocks in one slide



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$$R_{sh} \sim \left(\frac{E_{SN}}{\rho} \right)^{1/5} t^{2/5}$$



$$u_s \sim 2 \times 10^3 \left(\frac{E_{SN}}{10^{51} \text{ erg}} \right)^{1/5} \left(\frac{n_{ISM}}{\text{cm}^{-3}} \right)^{-1/5} \left(\frac{t}{\text{kyr}} \right)^{-3/5} \text{ km/s}$$

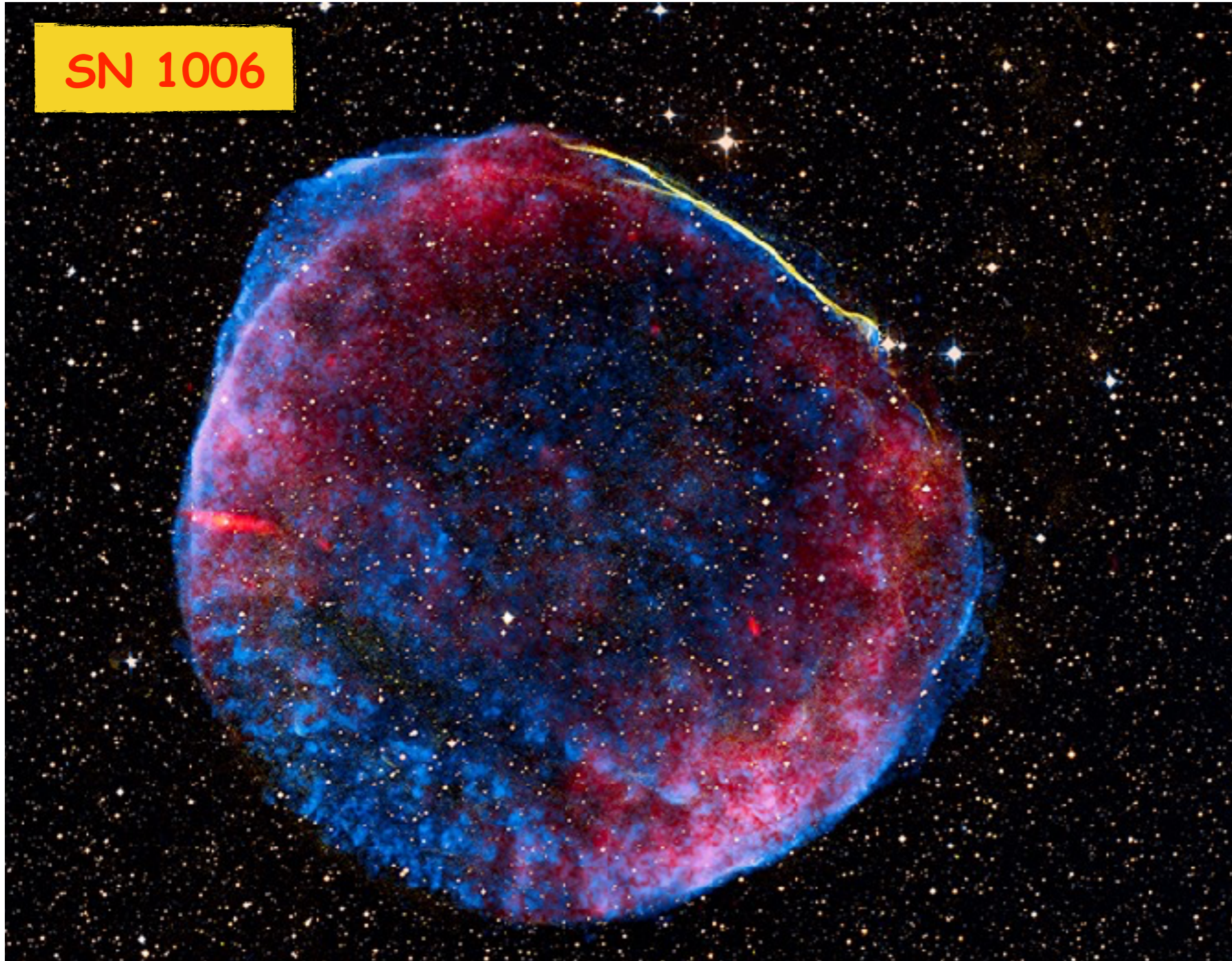
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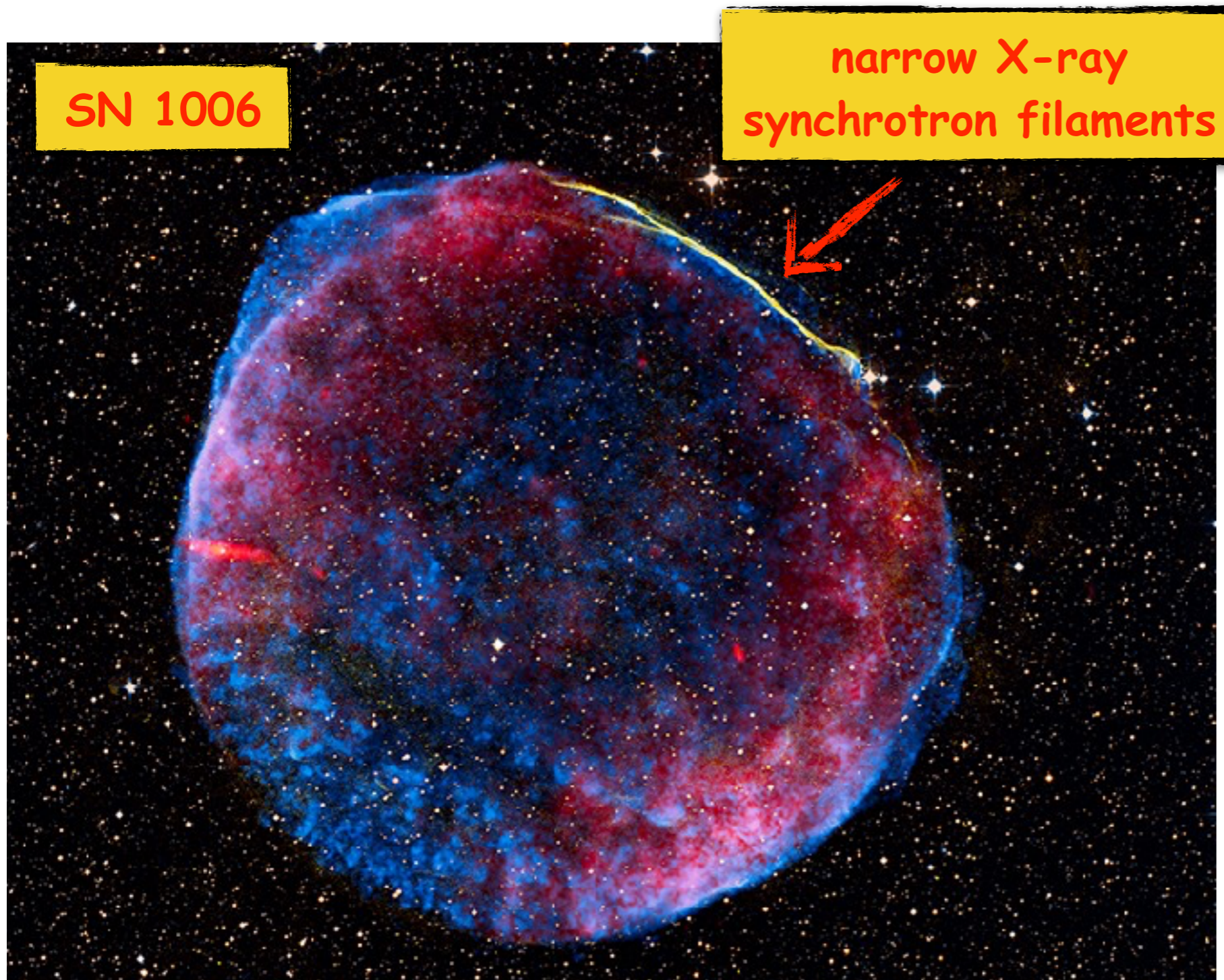
↑
1-10

↙
1-10

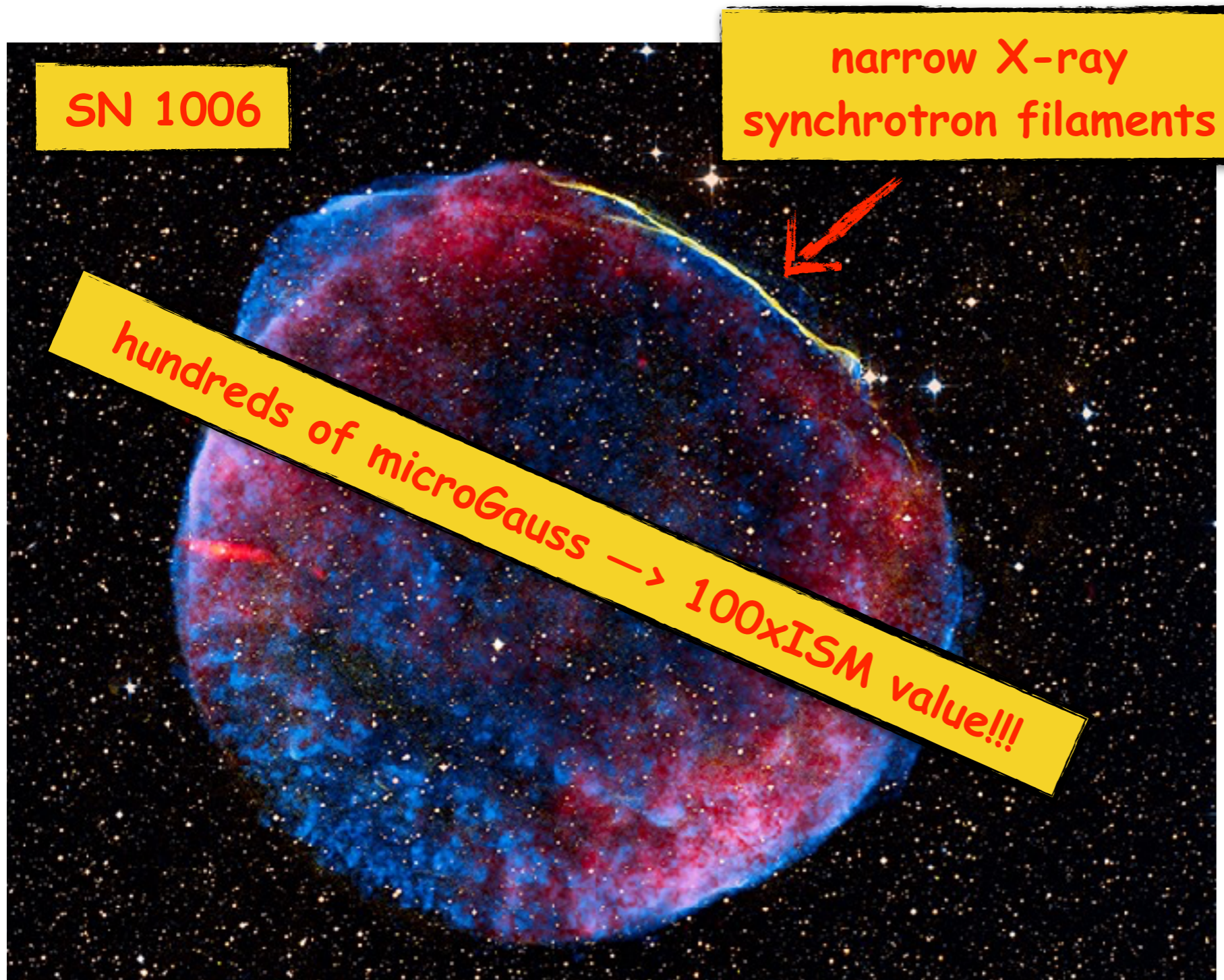
Large B fields are observed!
(~100xISM values)



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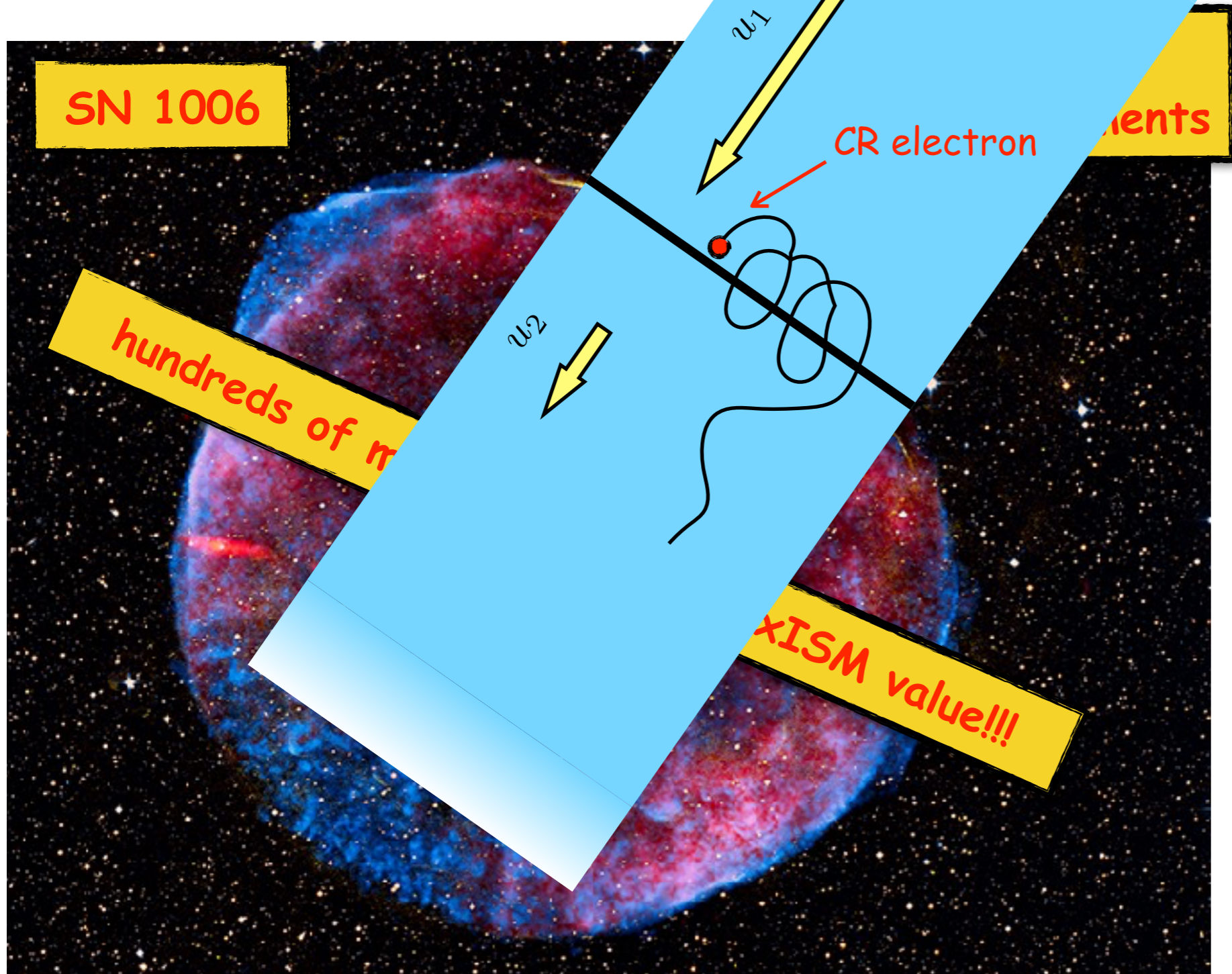


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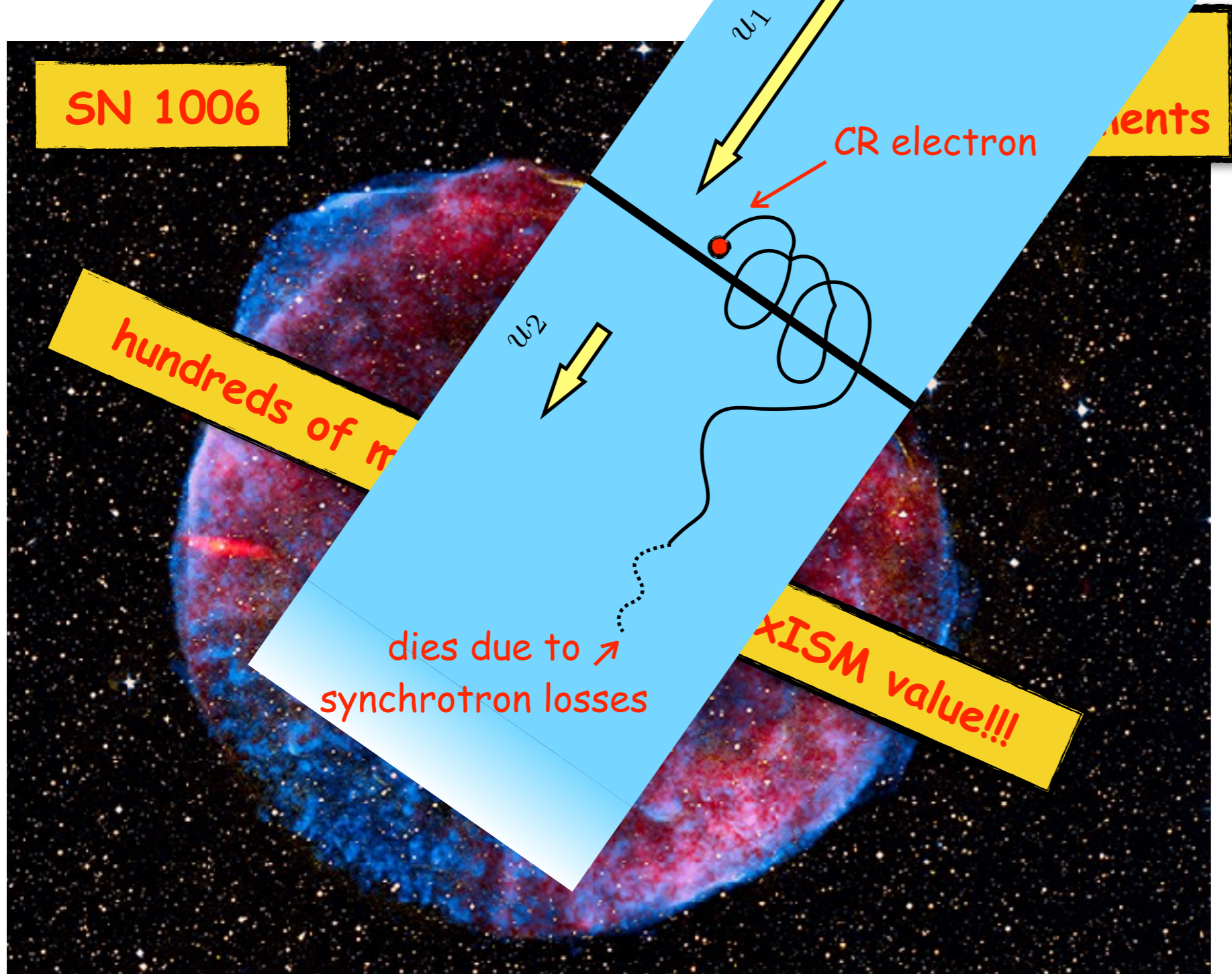
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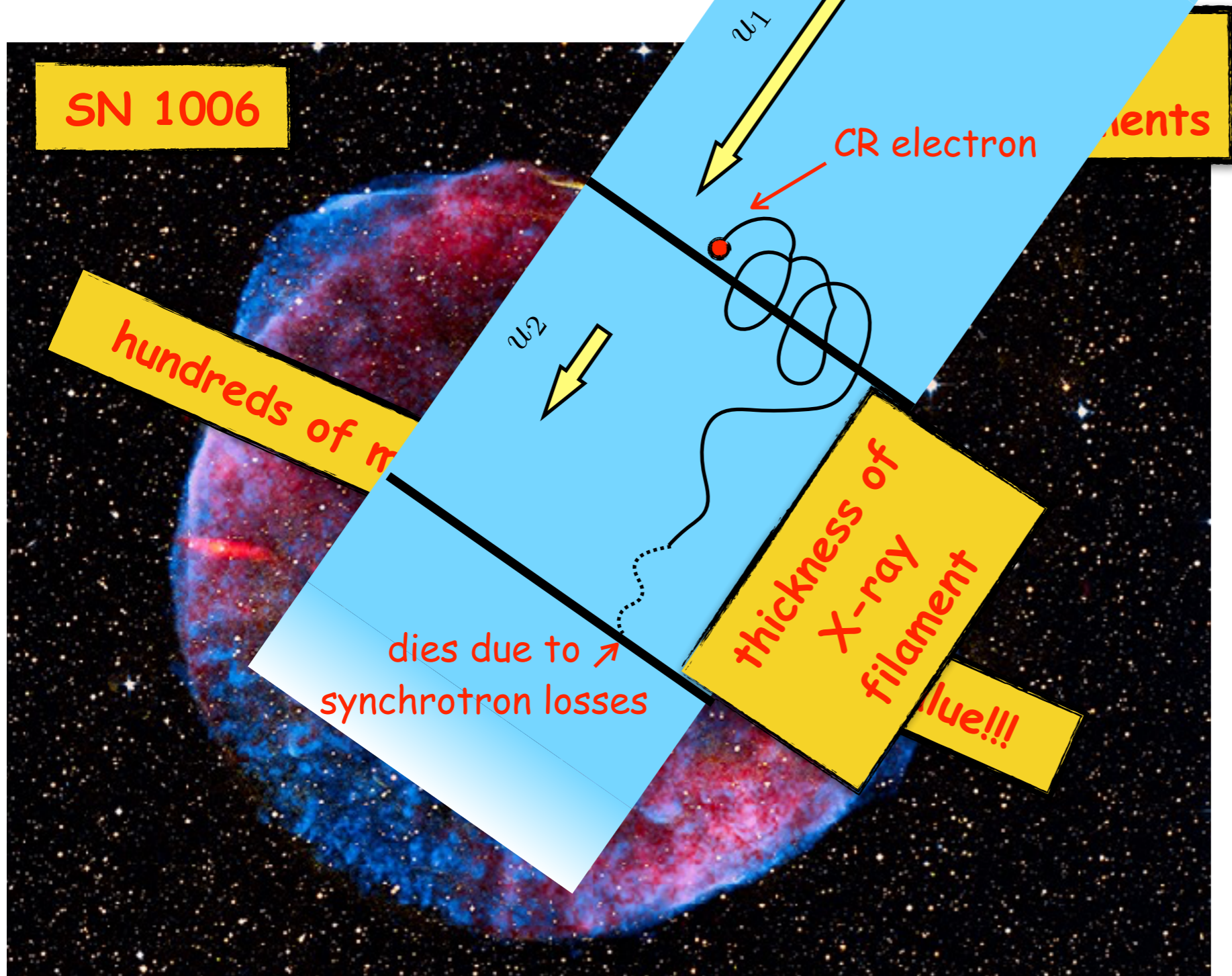
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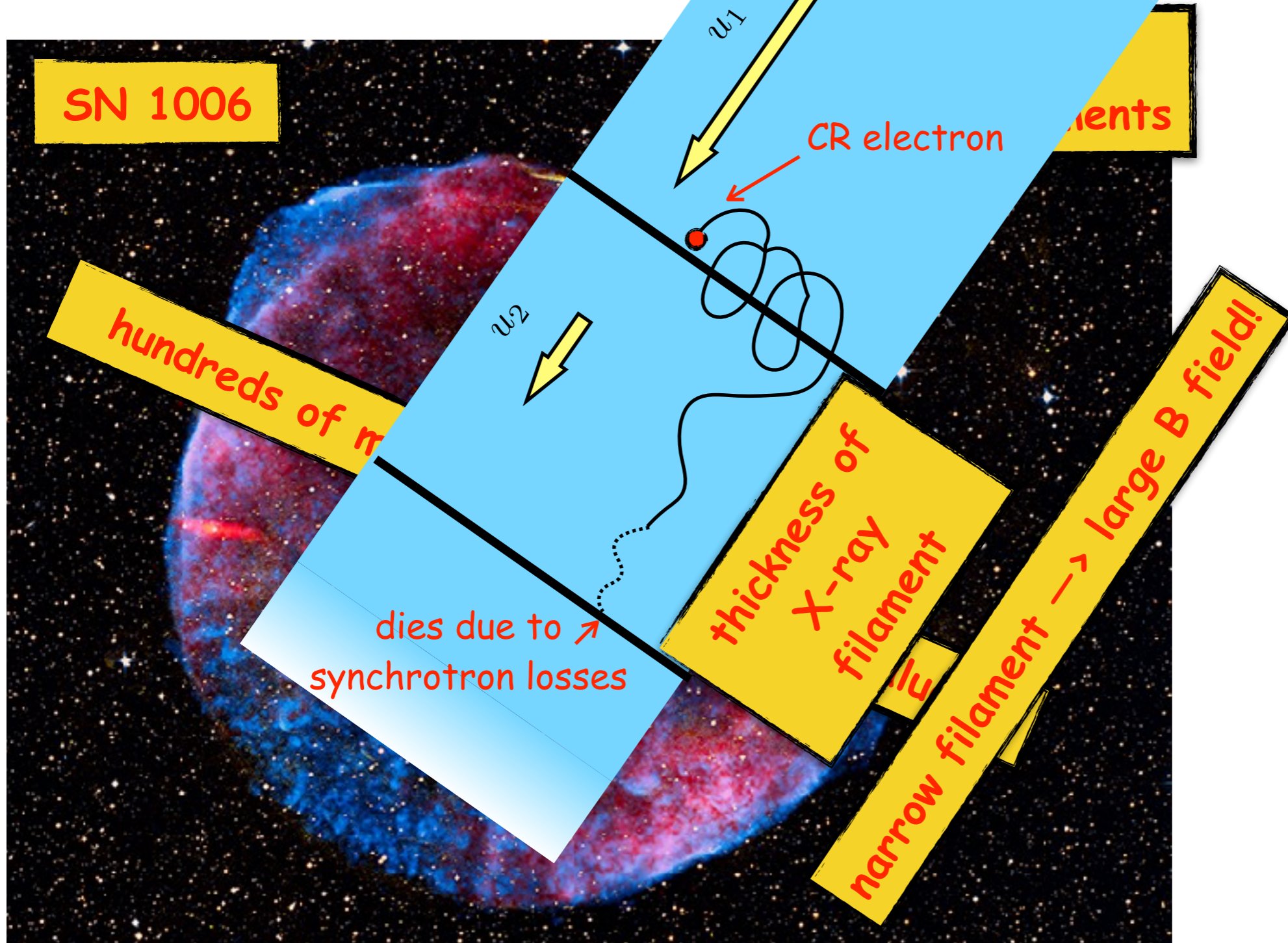
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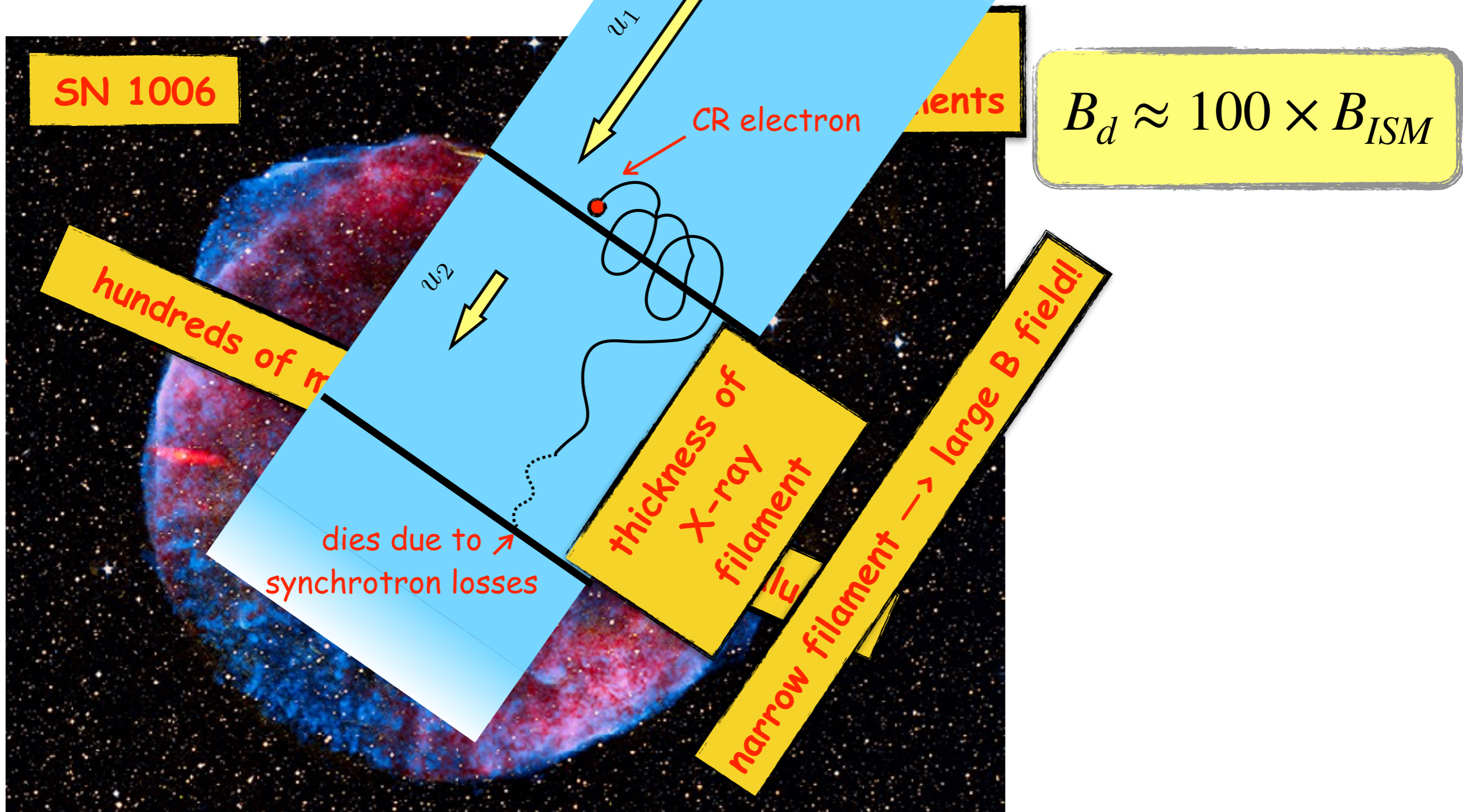
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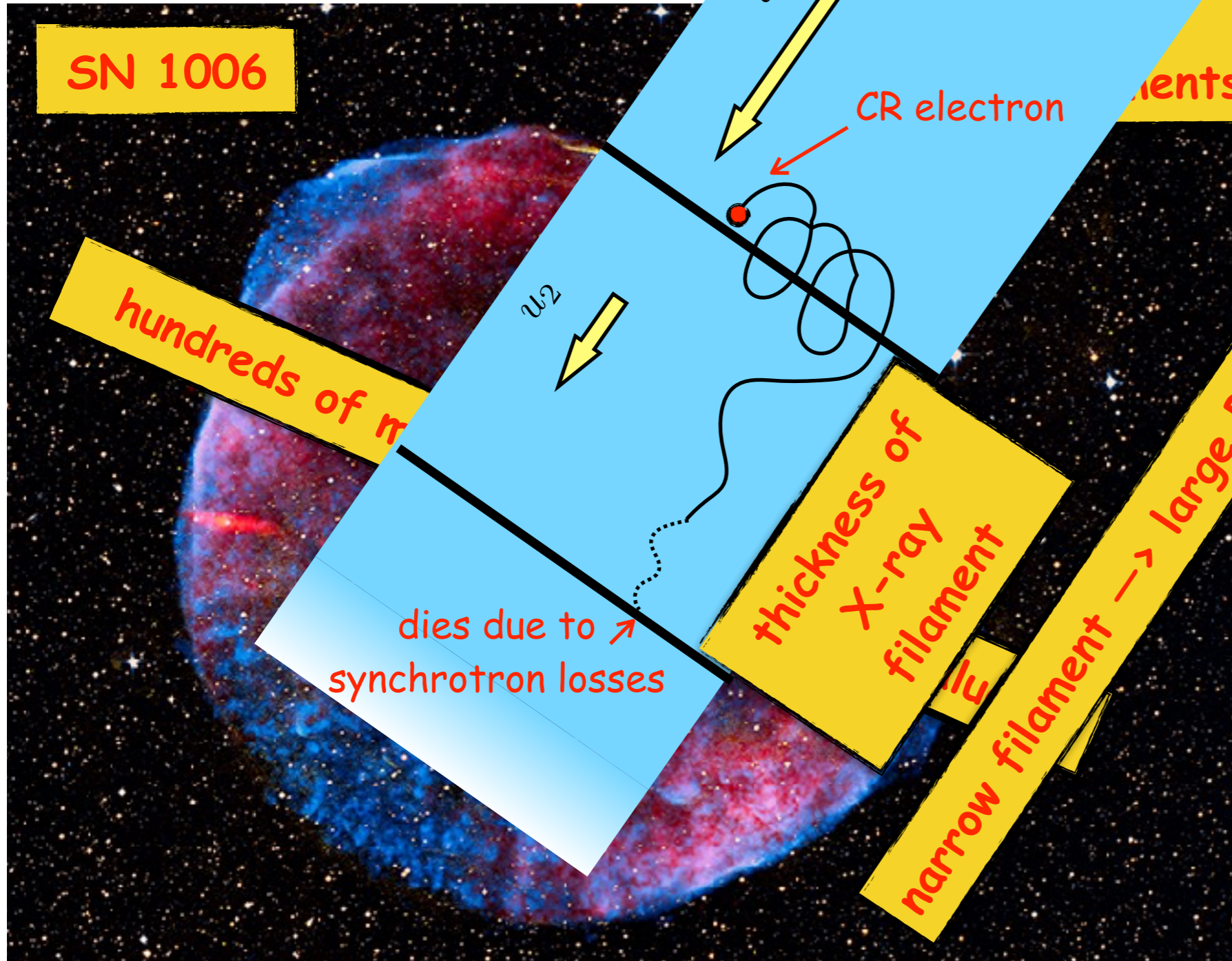
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$$B_d \approx 100 \times B_{ISM}$$

NON LINEAR!

- CR acceleration
- \rightarrow CR escape
- \rightarrow electric current
- \rightarrow plasma instability
- \rightarrow B is amplified

The Hillas criterion applied to SNRs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$

$3 \times 10^{14} - 3 \times 10^{16} \text{ eV}$ ~ 100 $1-10$ $1-10$

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can SNR shocks accelerate particles up the knee(s)? →

most likely yes!

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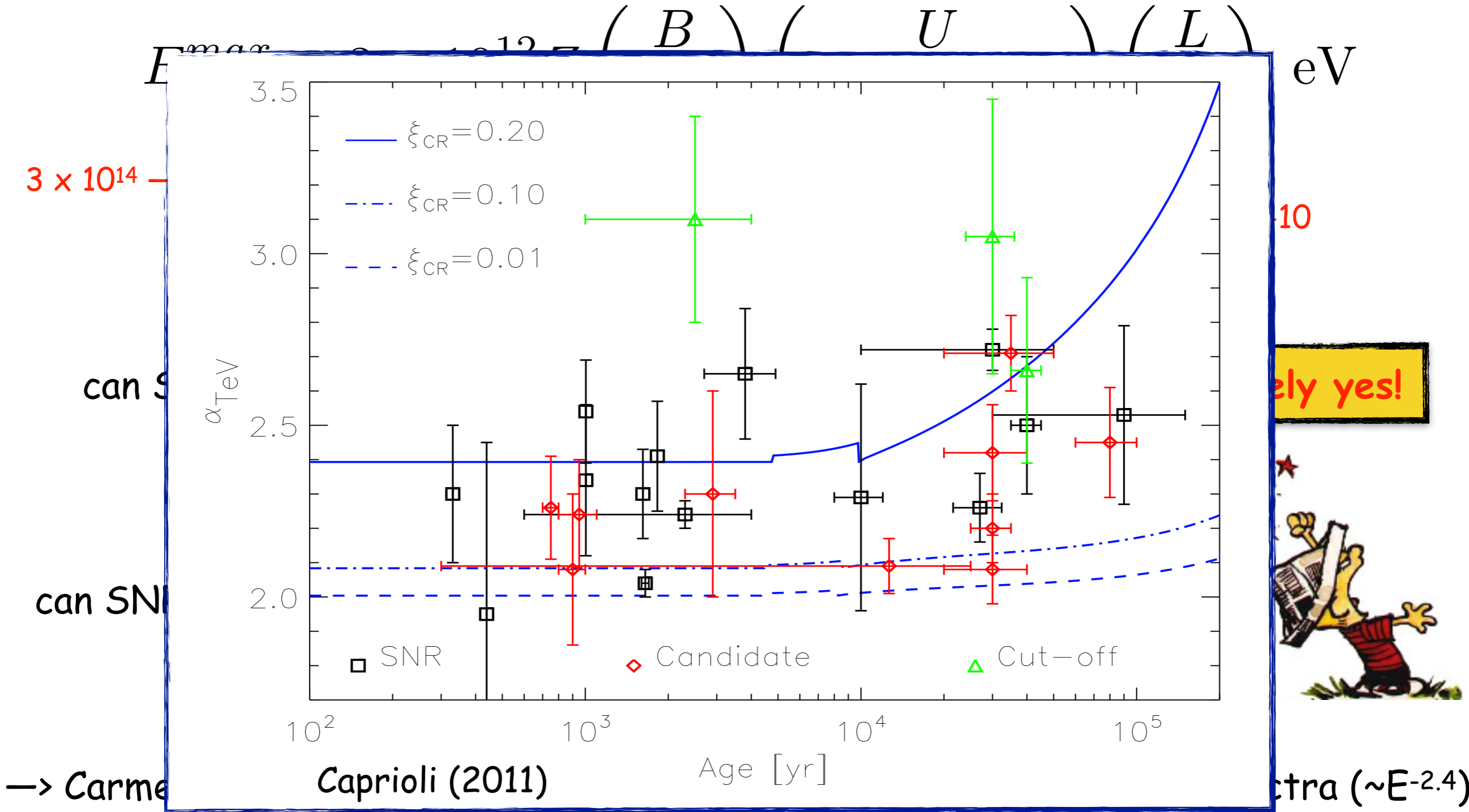
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→ Carmelo told us (based on CR data) that SNRs must inject steep spectra ($\sim E^{-2.4}$)

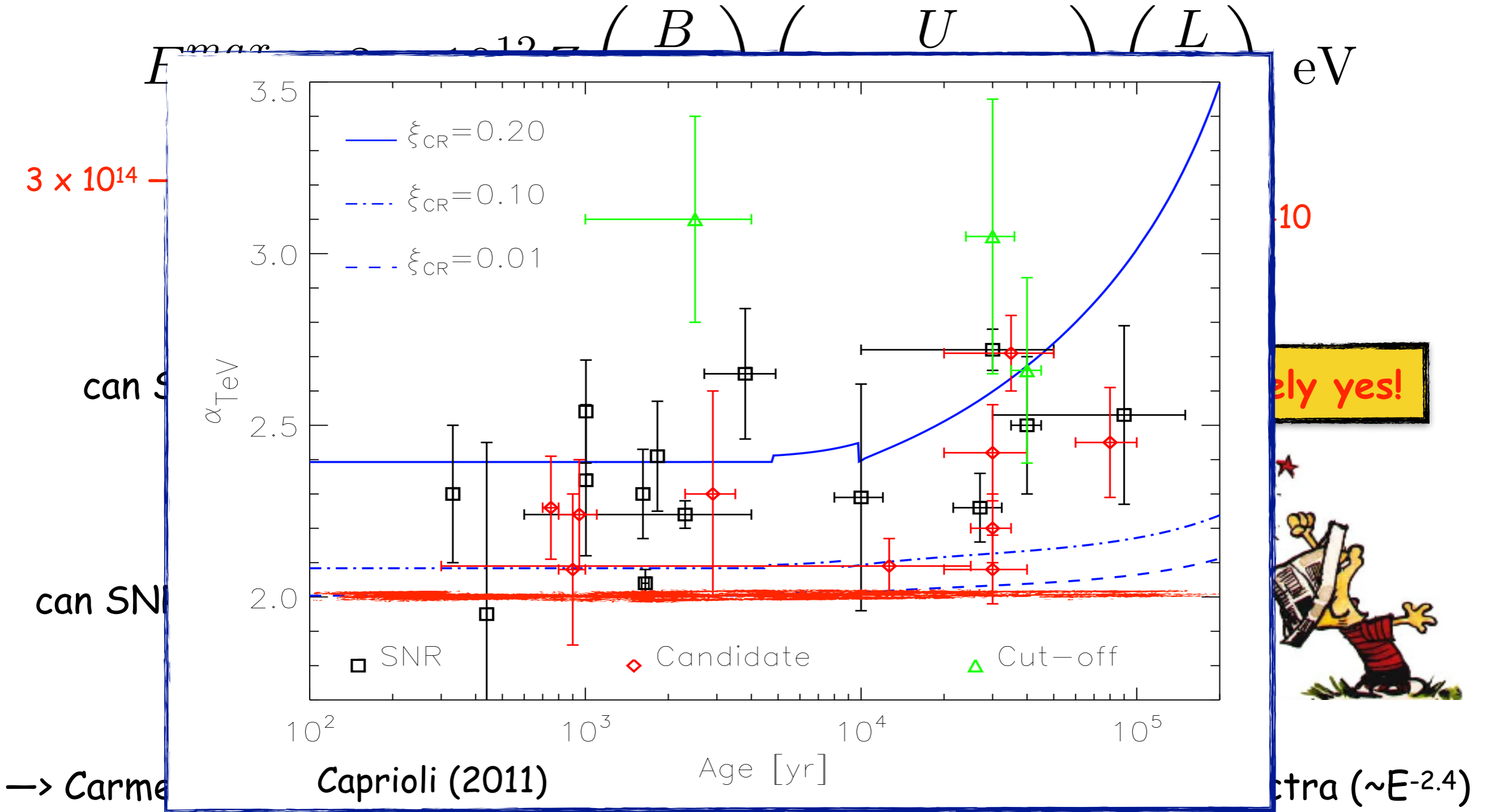
→ gamma-ray observations of individual SNRs suggests the same

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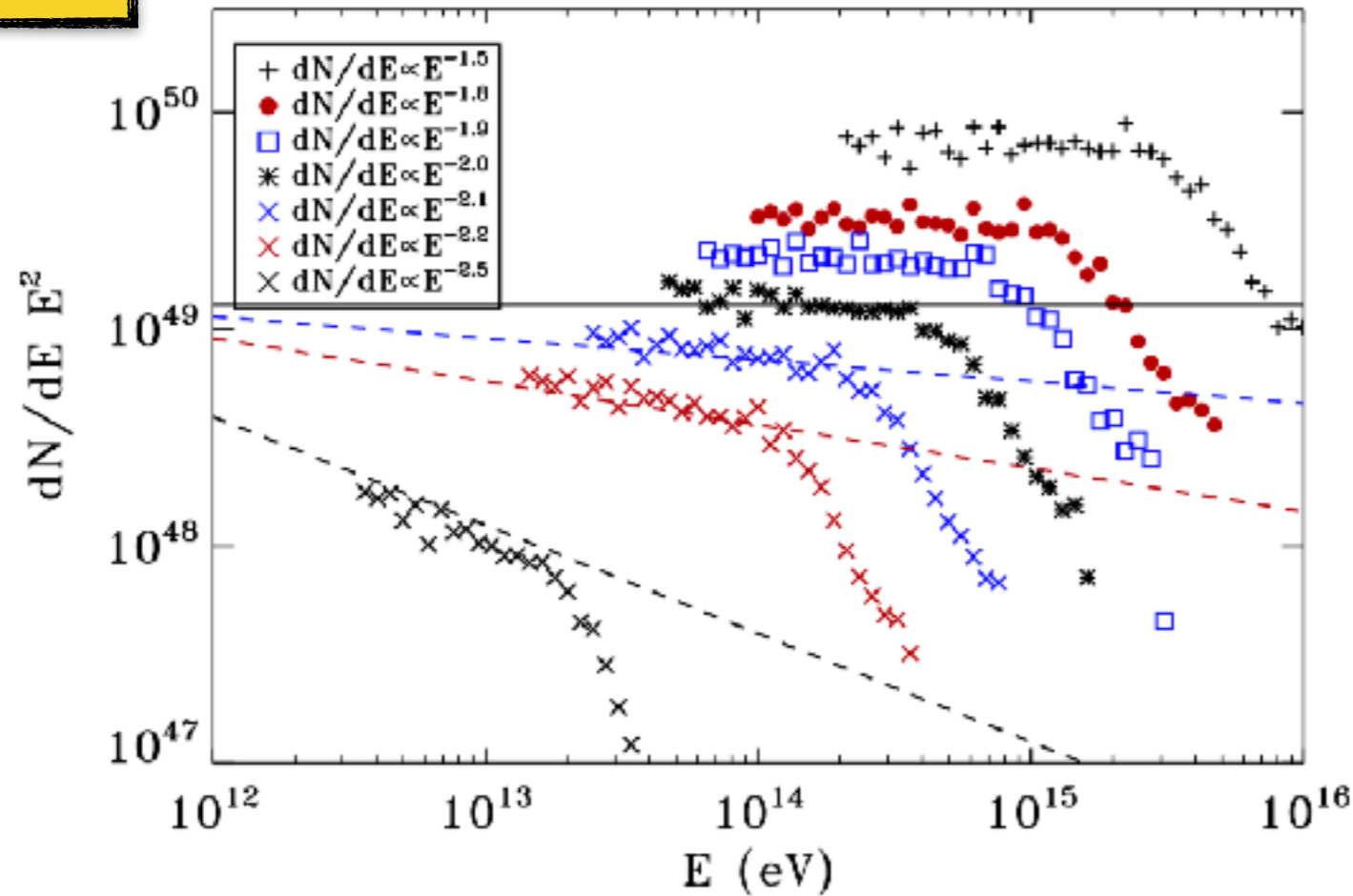


→ gamma-ray observations of individual SNRs suggests the same

One can't have everything...

spectrum of CRs released in the ISM during the entire SNR life

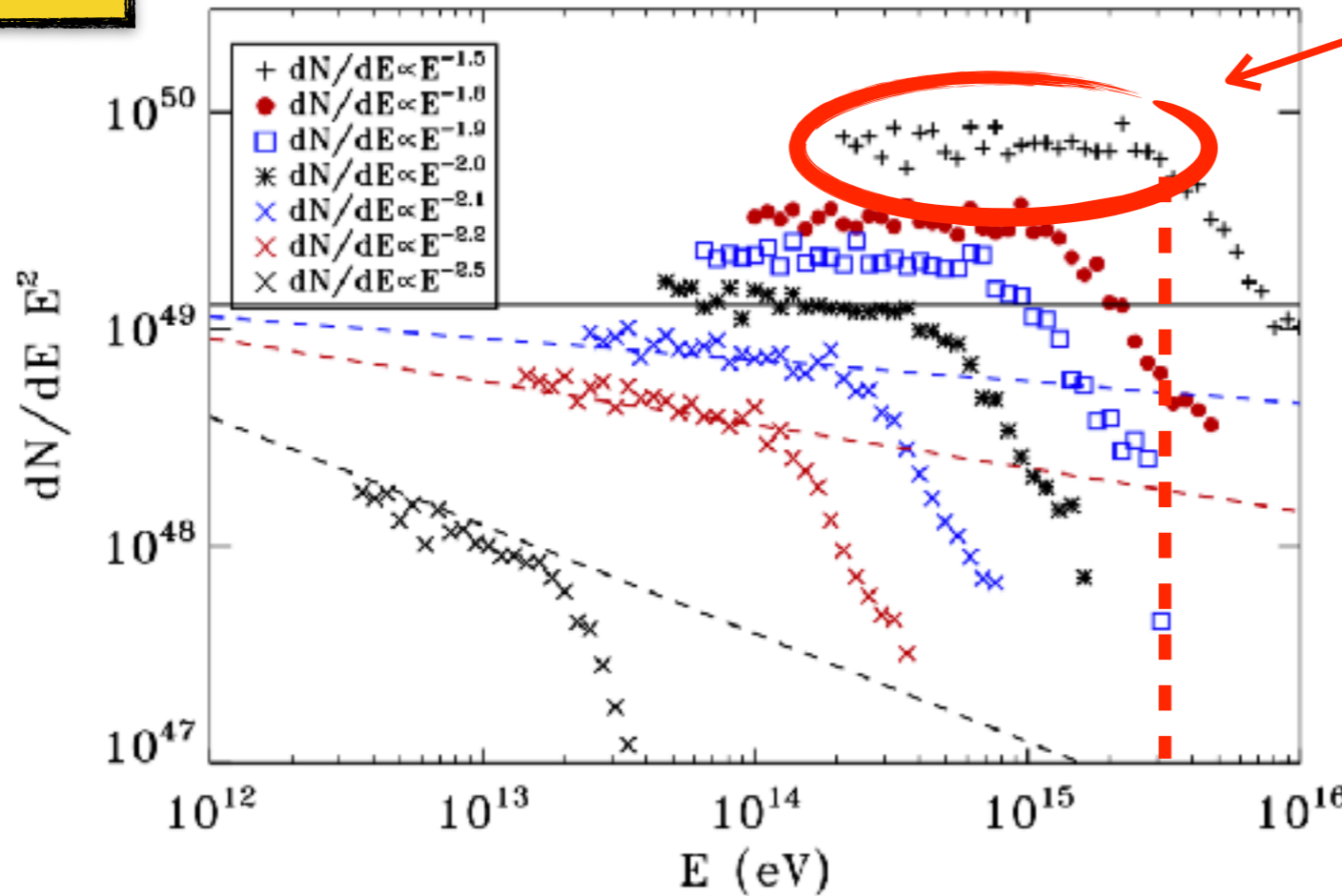
type II



One can't have everything...

spectrum of CRs released in the ISM during the entire SNR life

type II

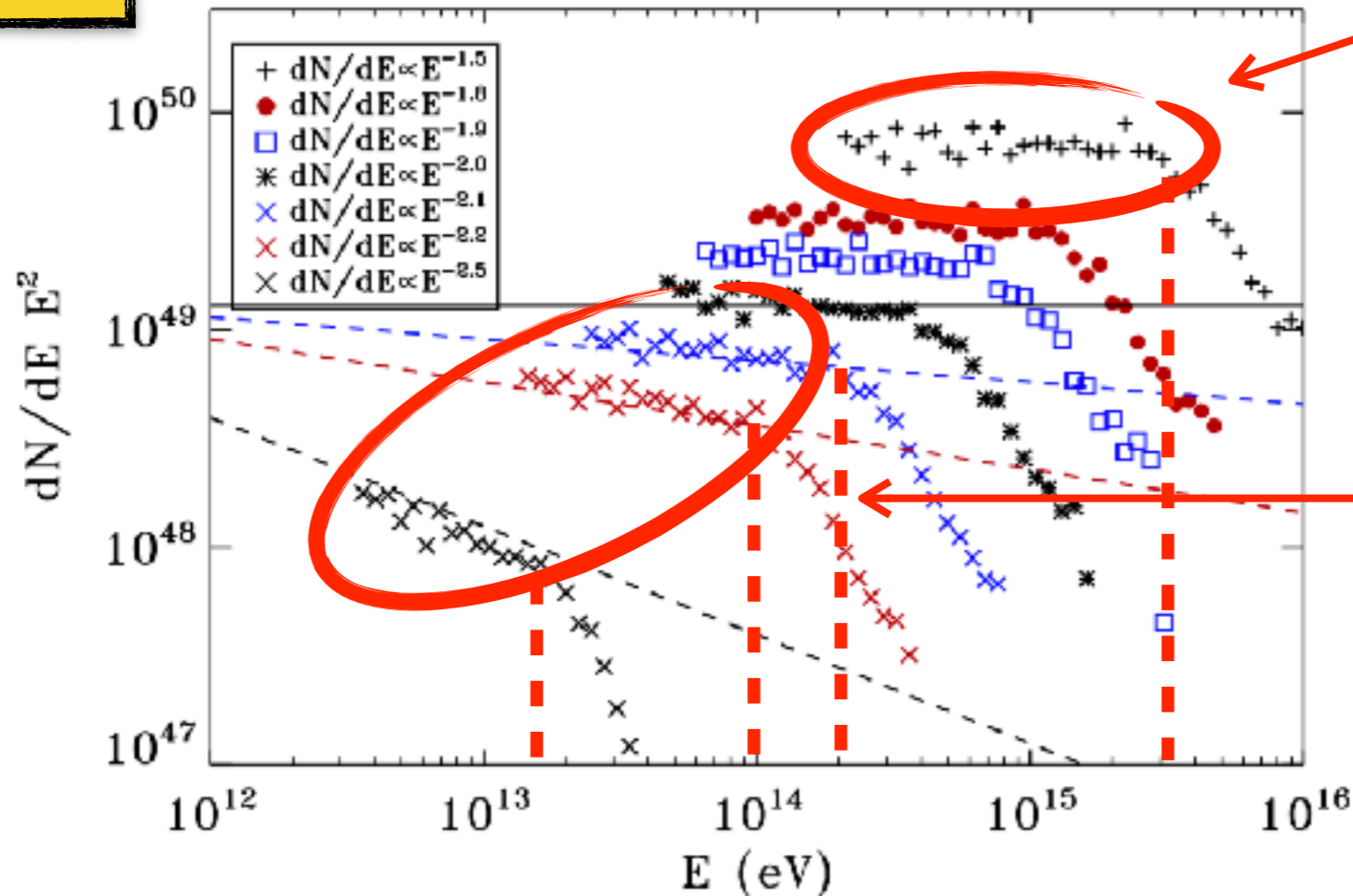


knee at the right place
→ injection too hard

One can't have everything...

spectrum of CRs released in the ISM during the entire SNR life

type II



knee at the right place
→ injection too hard

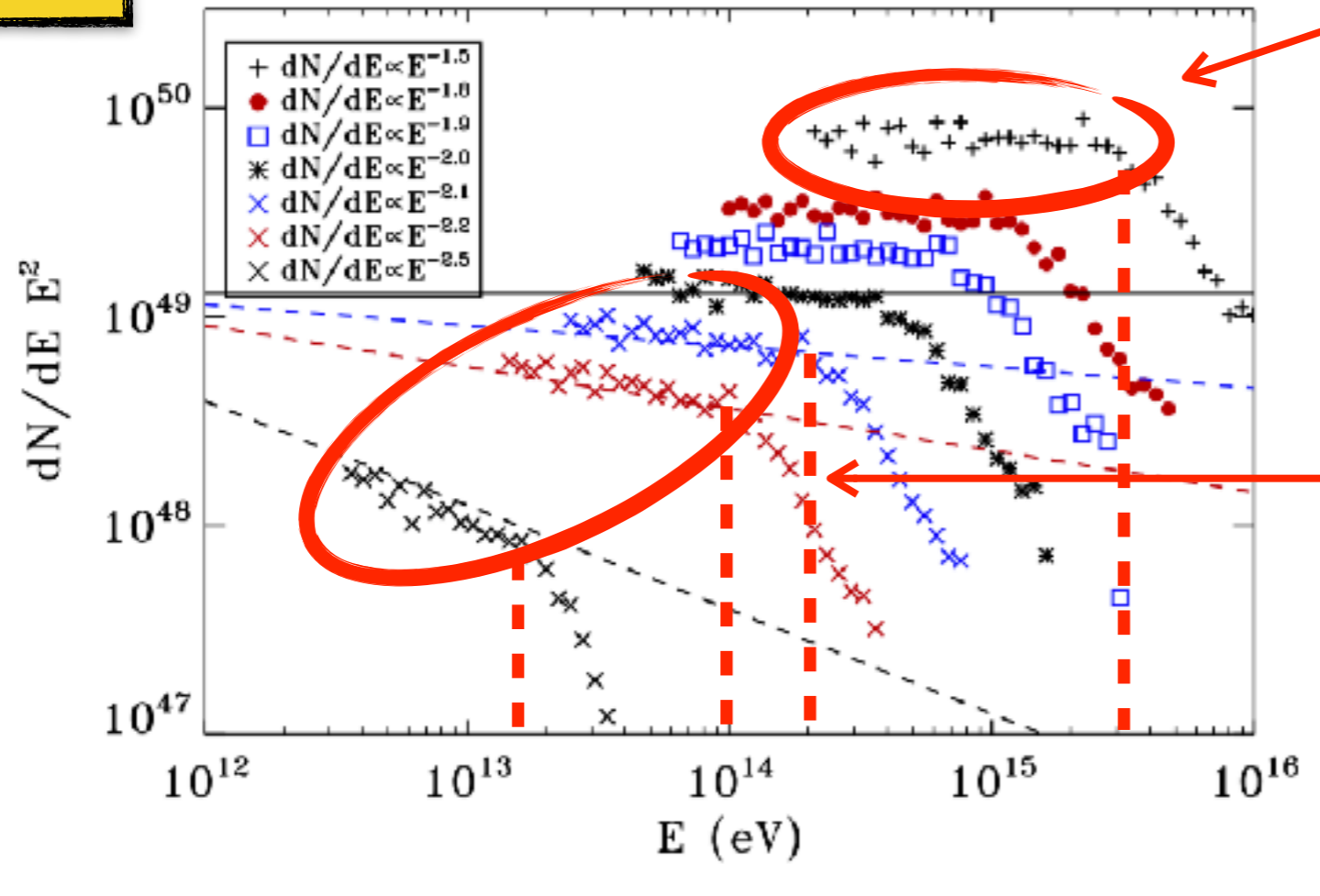
injection spectrum
steeper than 2
→ not enough to reach
the knee

One can't have everything...

spectrum of CRs released in the ISM during the entire SNR life

type II

Schure & Bell 2014



knee at the right place
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can we
tune it?

It is also worth noticing that none of the types of SNRs considered here is able alone to describe the relatively smooth CR spectrum that we measure over many decades in energy. In a way, rather than being surprised by the appearance of features, one should be surprised by the fact that the CR spectrum is so regular.

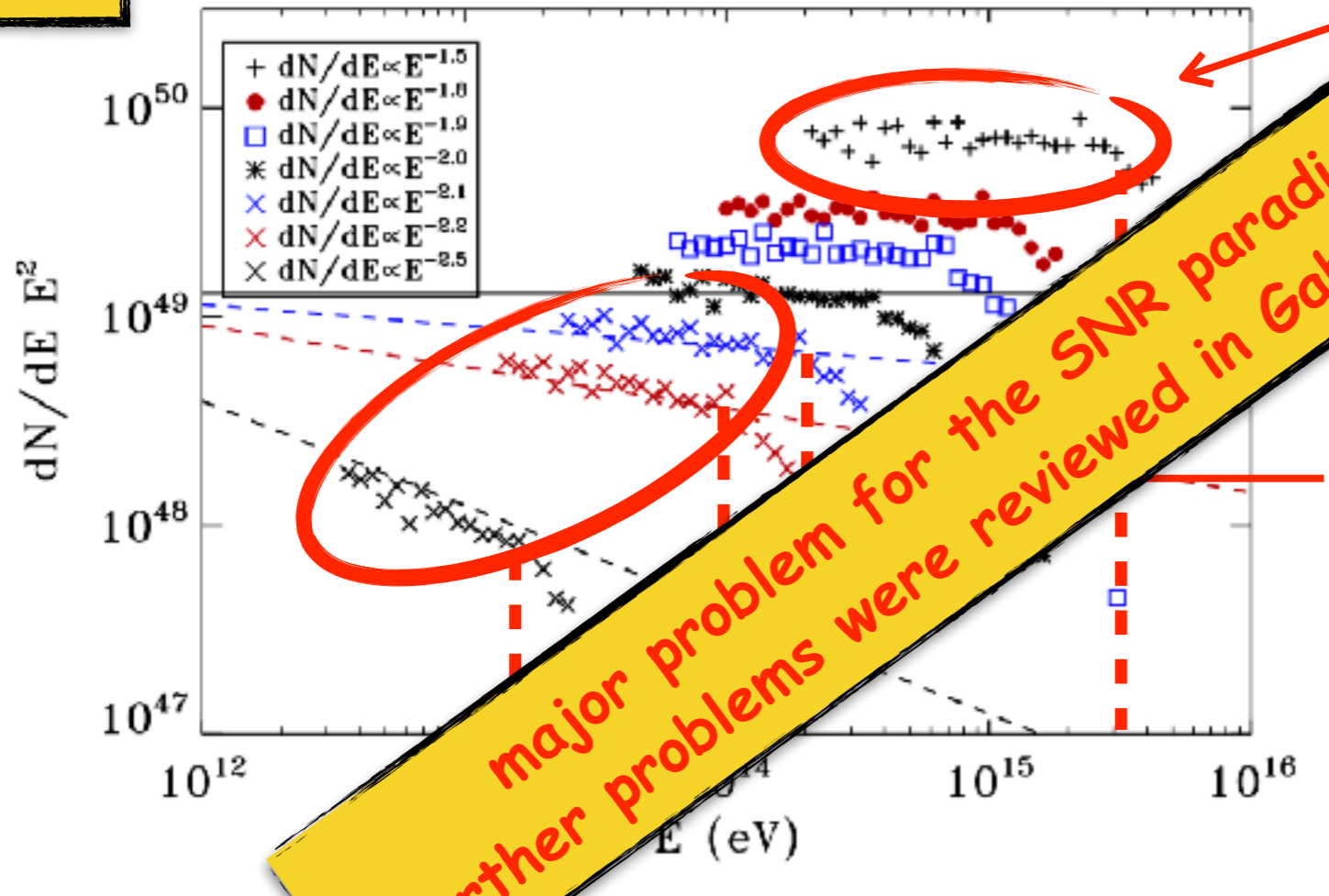
(Cristofari+ 2020)

One can't have everything...

spectrum of CRs released in the ISM during the entire SNR life

type II

Schure & Bell 2014



major problem for the SNR paradigm
(further problems were reviewed in Gabici+ 2019)

knee at the right place

injection too hard

injection spectrum

steeper than 2

→ not enough to reach

the knee

can we tune it?

It is also worth noticing that none of the types of SNRs considered here is able alone to describe the relatively smooth CR spectrum that we measure over many decades in energy. In a way, rather than being surprised by the appearance of features, one should be surprised by the fact that the CR spectrum is so regular.

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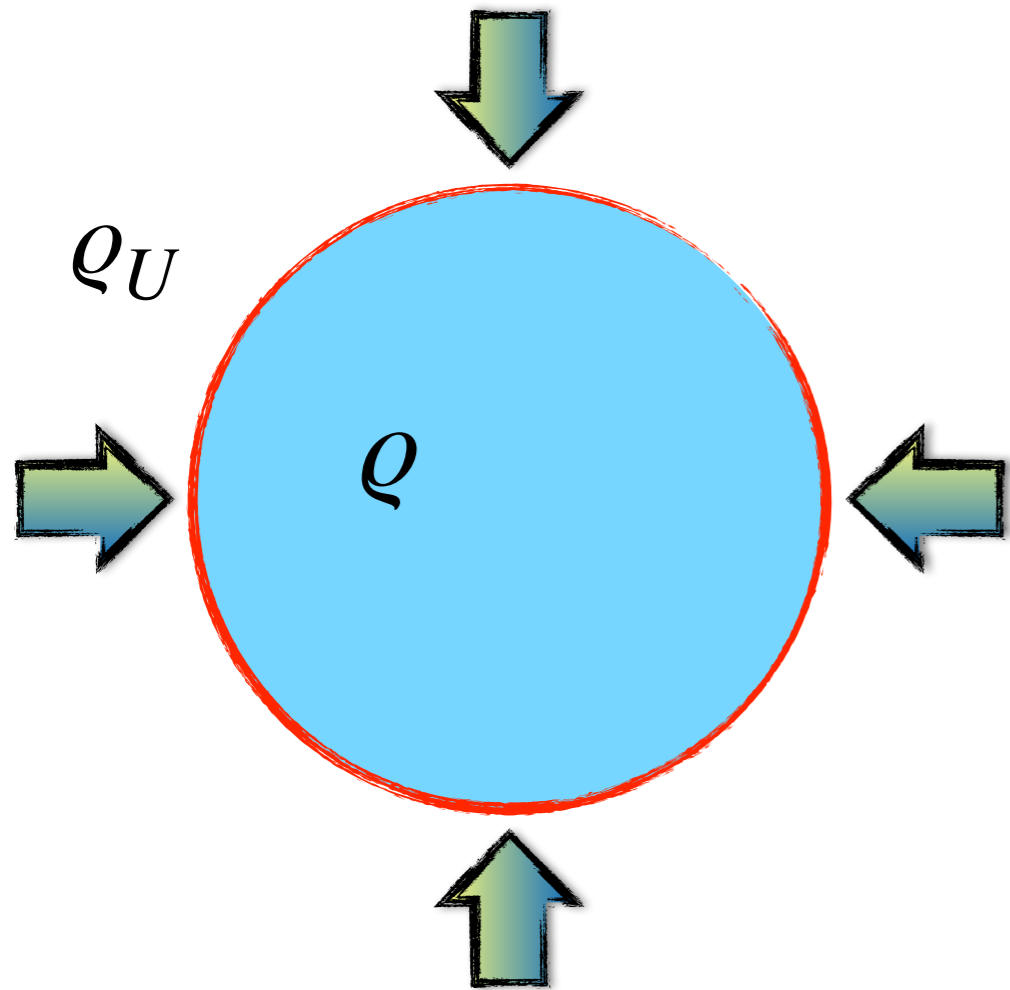


The Hillas criterion applied to GCs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$

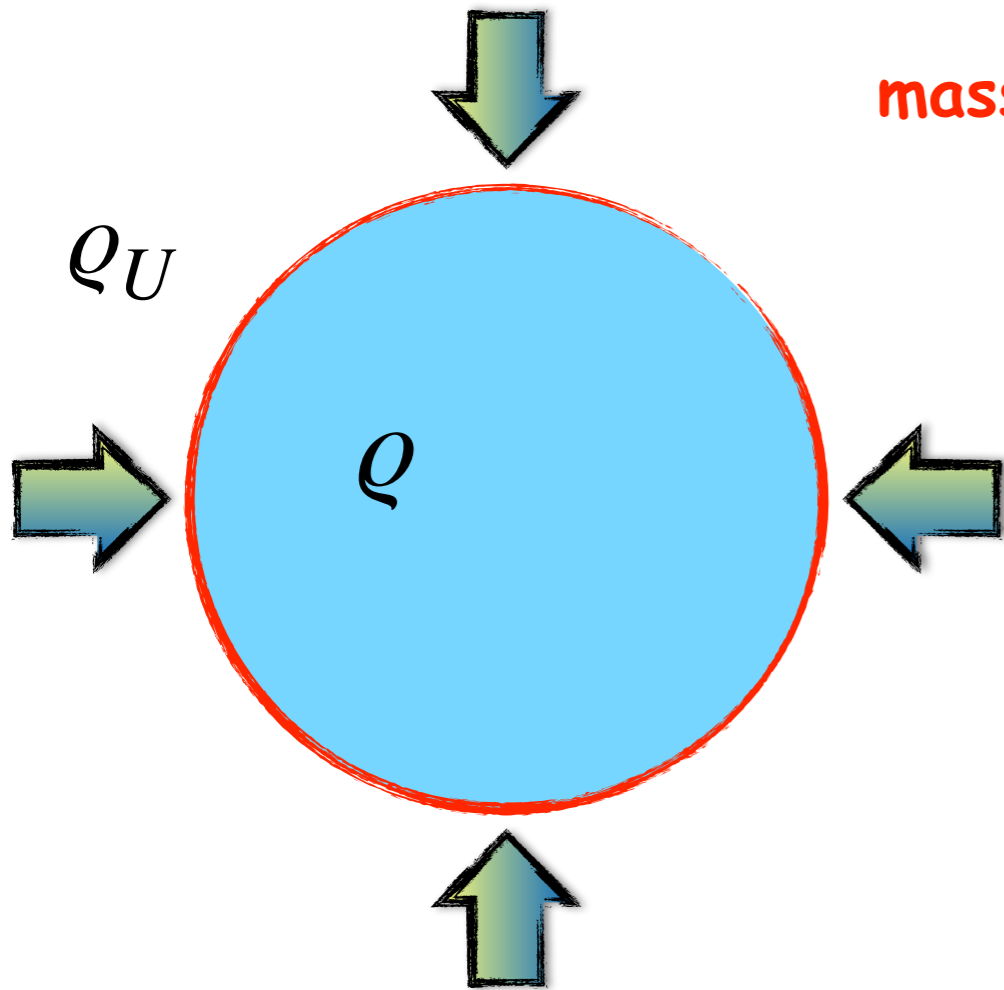
↖ few 10^6

GCs shocks in one slide



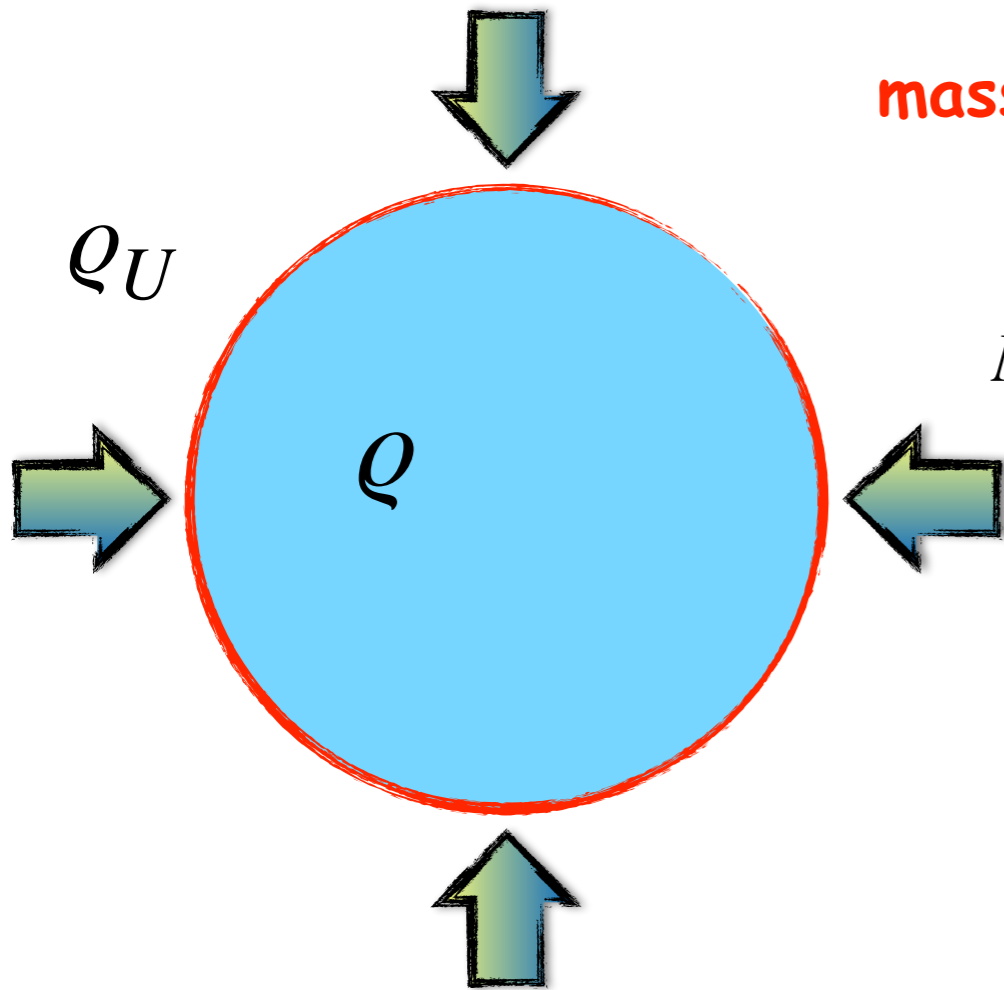
GCs shocks in one slide

massive virialised object $\rightarrow q \sim 200 \times q_U$



GCs shocks in one slide

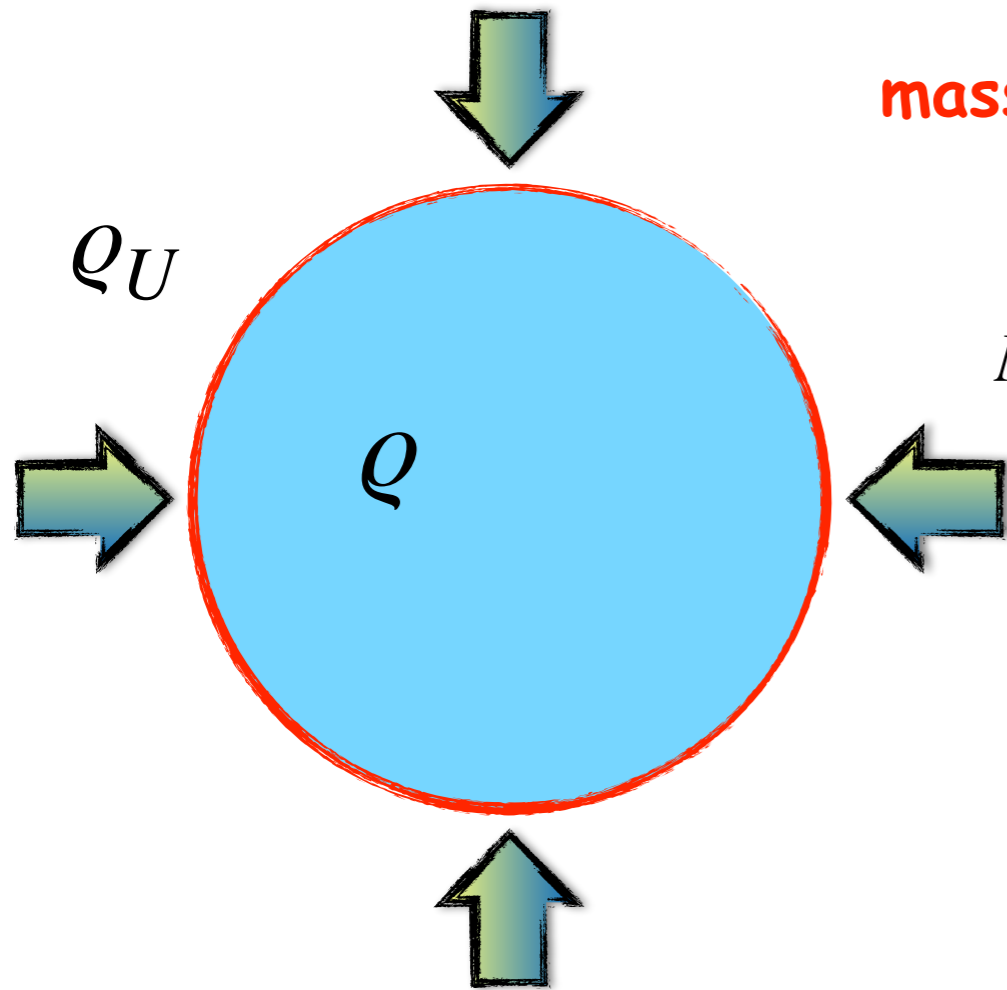
massive virialised object $\rightarrow \rho \sim 200 \times \rho_U$



$$M = \frac{4\pi}{3} R^3 \rho \longrightarrow R \approx 2 \left(\frac{M}{10^{15} M_{\odot}} \right)^{1/3} \text{ Mpc}$$

GCs shocks in one slide

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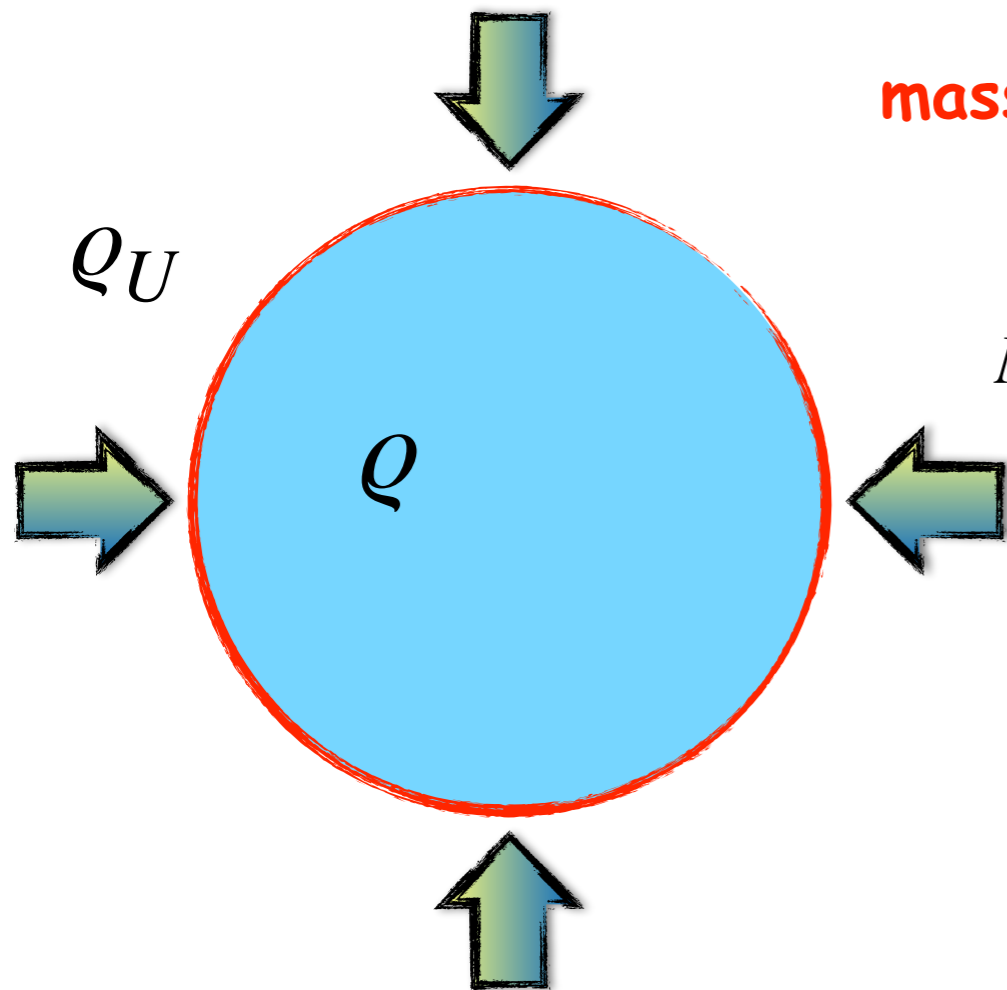


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same order as SNR shocks!
(of course this is just a
coincidence)

The Hillas criterion applied to GCs

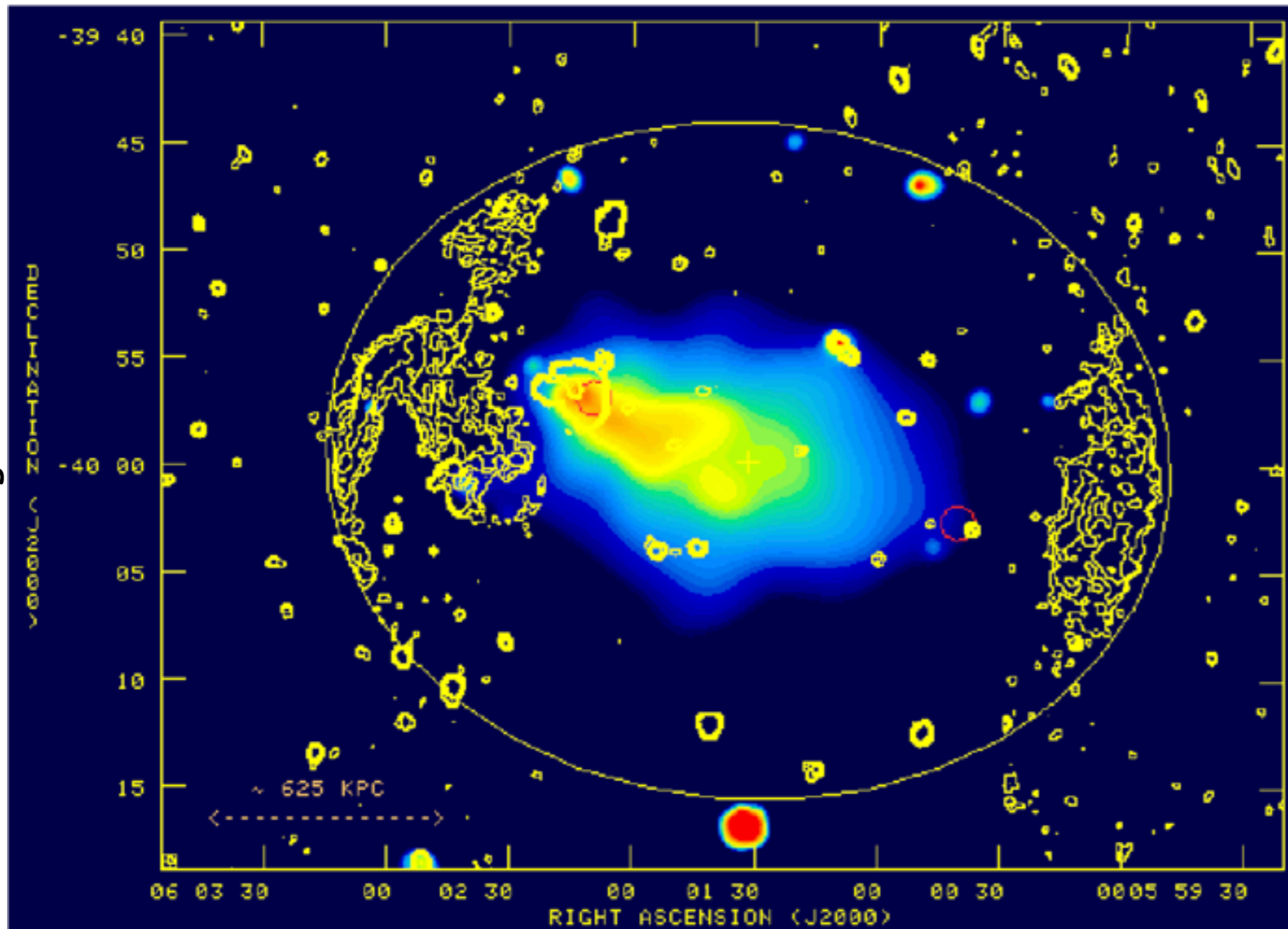
$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$


~2

 few 10⁶

B fields at the outskirts of GCs

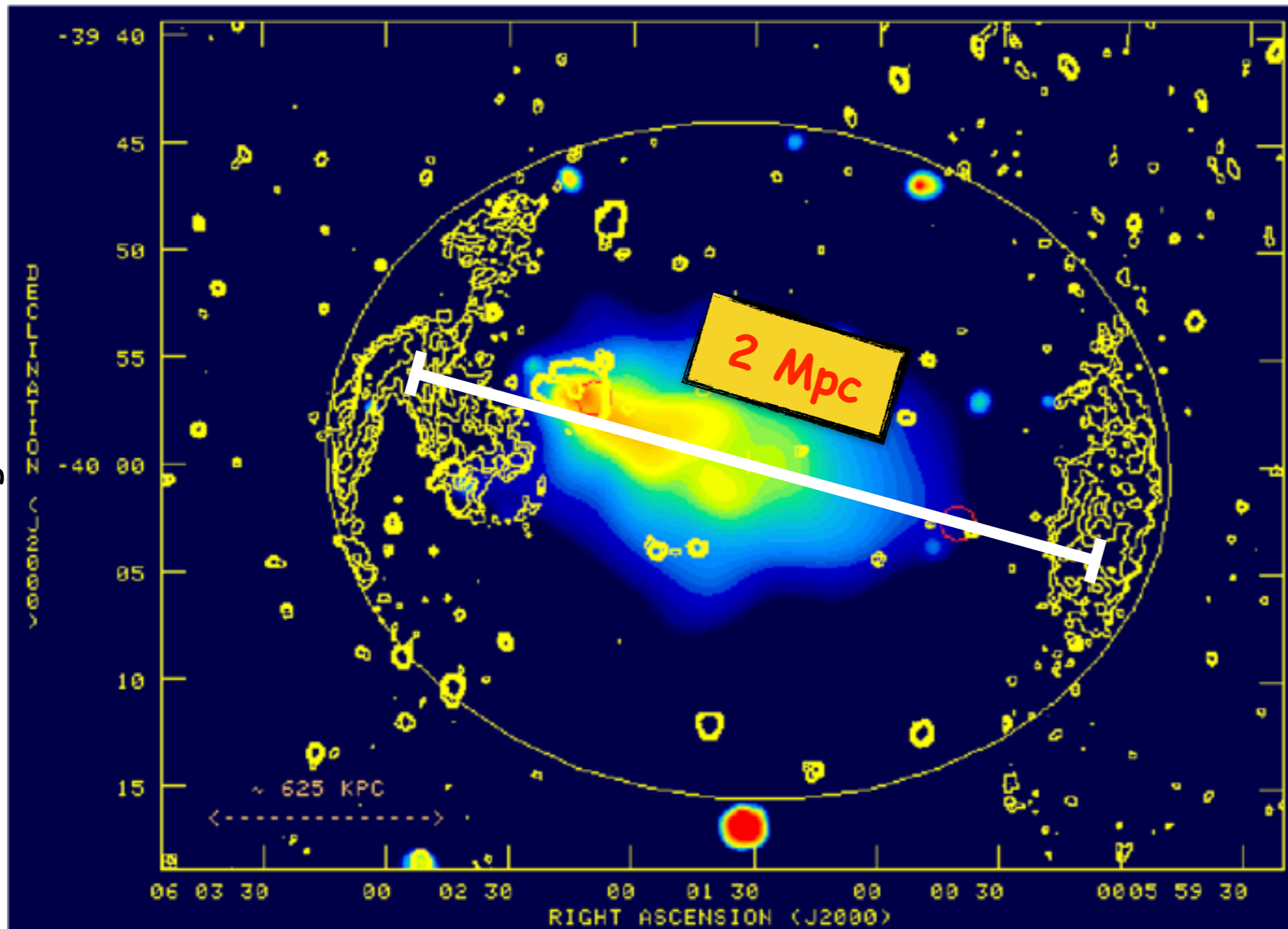
Bagchi+ 2006



radio synchrotron
emission from
shocks around the
GC A3376
→ CR e^- + B field

B fields at the outskirts of GCs

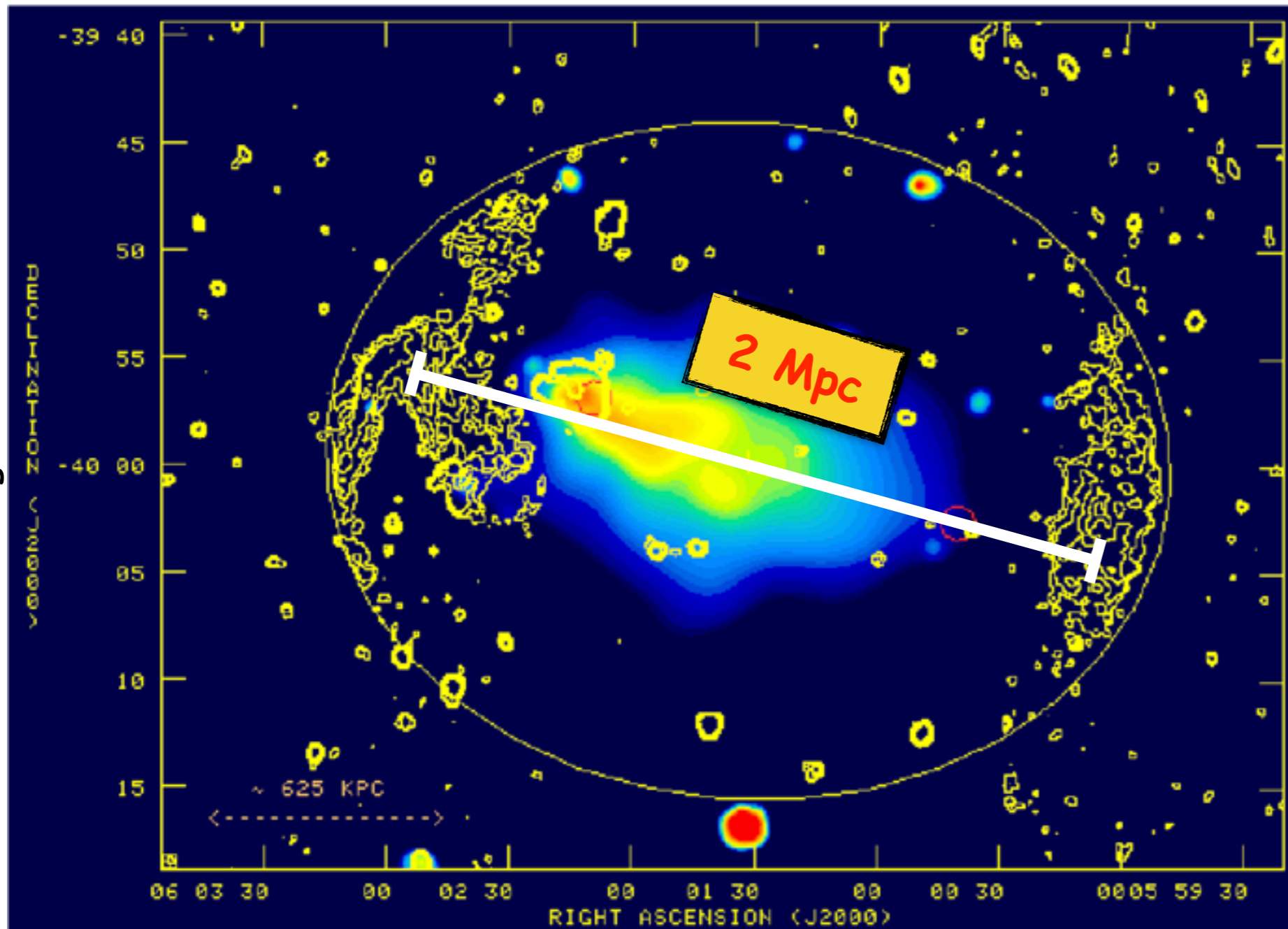
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Bagchi+ 2006



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equipartition B ($U_{e^-} \sim U_B$) →

$$B_{eq} \approx 0.5 - 3 \mu\text{G}$$

The Hillas criterion applied to GCs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$

$3 \times 10^{20} \text{ eV}$ 26 (Fe) ~ 1 ~ 2 $\text{few } 10^6$

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Annotations for the equation above:

- $3 \times 10^{20} \text{ eV}$ (with an arrow pointing to E^{max})
- 26 (Fe) (with an arrow pointing to Z)
- ~ 1 (with an arrow pointing to $\frac{B}{\mu\text{G}}$)
- ~ 2 (with an arrow pointing to $\frac{U}{1000 \text{ km/s}}$)
- $\text{few } 10^6$ (with an arrow pointing to $\frac{L}{\text{pc}}$)

Hillas criterion does not include energy losses!

The Hillas criterion applied to GCs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$

Annotations for the equation above:

- Red arrow from 3×10^{12} to $3 \times 10^{20} \text{ eV}$
- Red arrow from Z to 26 (Fe)
- Red arrow from μG to ~ 1
- Red arrow from 1000 km/s to ~ 2
- Red arrow from pc to $\text{few } 10^6$

Hillas criterion does not include energy losses!

CR protons: $E^{max} \rightarrow$ equilibrium between acceleration rate and energy loss rate
 \rightarrow photopair production w. CMB $\rightarrow O(10^{19}) \text{ eV}$

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(Norman, Melrose & Achterberg 1995 ... Allard & Protheroe 2009 ... Vannoni+ 2011)

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Annotations for the equation above:

- $3 \times 10^{20} \text{ eV}$ (with an arrow pointing to the 3×10^{12} coefficient)
- 26 (Fe) (with an arrow pointing to Z)
- ~ 1 (with an arrow pointing to $\frac{B}{\mu\text{G}}$)
- ~ 2 (with an arrow pointing to $\frac{U}{1000 \text{ km/s}}$)
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possible to accelerate UHECRs! \rightarrow GZK cutoff or E^{max} of the accelerator?

other possible sources of UHECRs (AGN, GRBs...)

The Hillas criterion applied to GCs

$$E^{max} \approx 3 \times 10^{12} Z \left(\frac{B}{\mu\text{G}} \right) \left(\frac{U}{1000 \text{ km/s}} \right) \left(\frac{L}{\text{pc}} \right) \text{ eV}$$

↑ 3×10^{12} ↑ Z ↑ B ↑ U ↑ L
26 (Fe) 1 few 10⁶

recent claims of a detection in GeV of Coma
 (Remi+ 2021, Baghmanyant+2022)

GeV particles CANNOT escape clusters → they will NEVER reach us loss rate

TeV band → might probe CRs that will reach us!

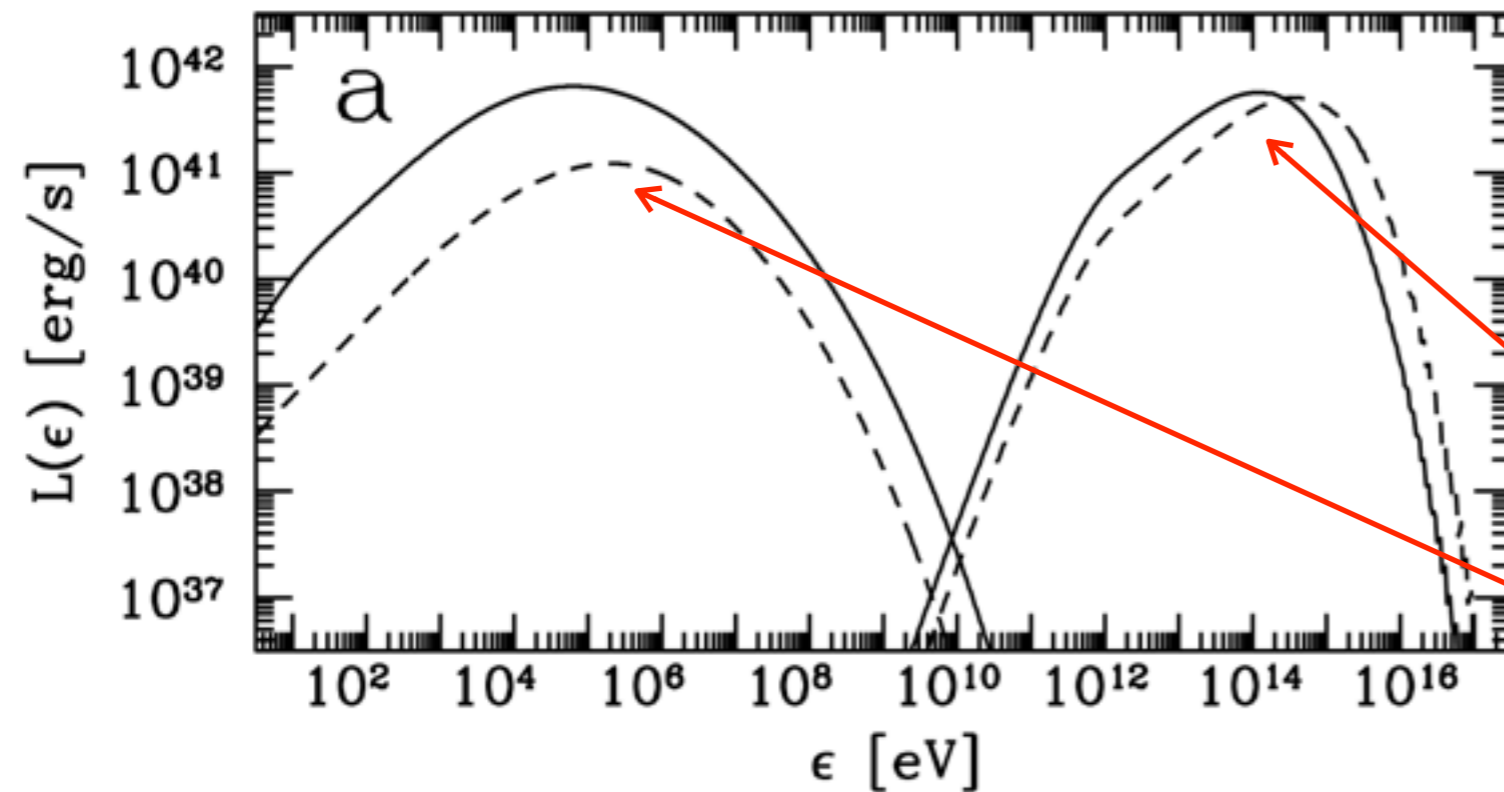
CR ION. E^{max} → photoabsorption w. CMB → $\sim 10^{20}$ eV

(Norman, Melrose & Achterberg 1995 ... Allard & Protheroe 2009 ... Vannoni+ 2011)

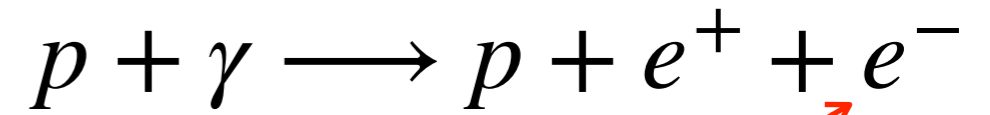
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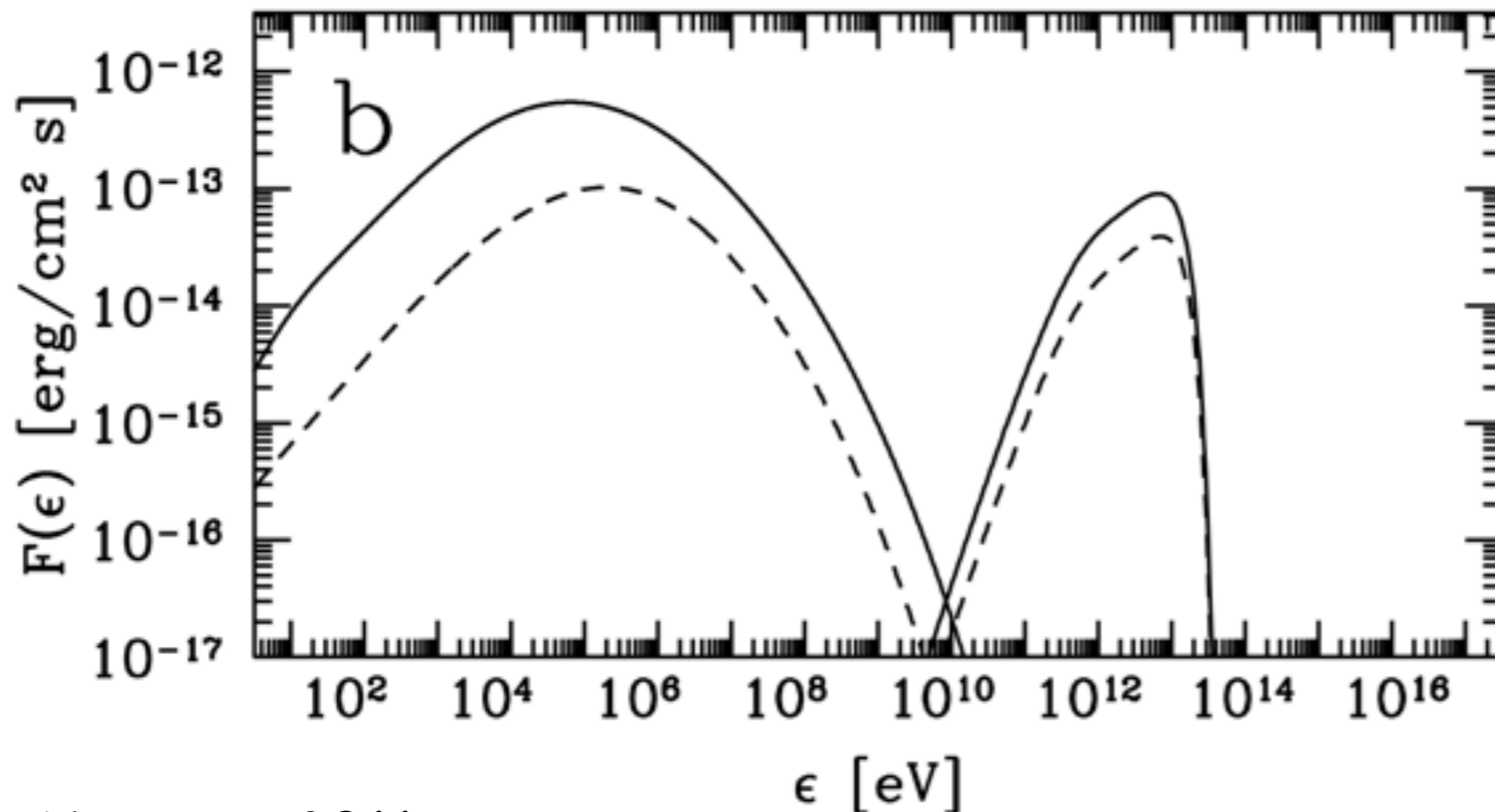
A possible test: gamma rays from GCs



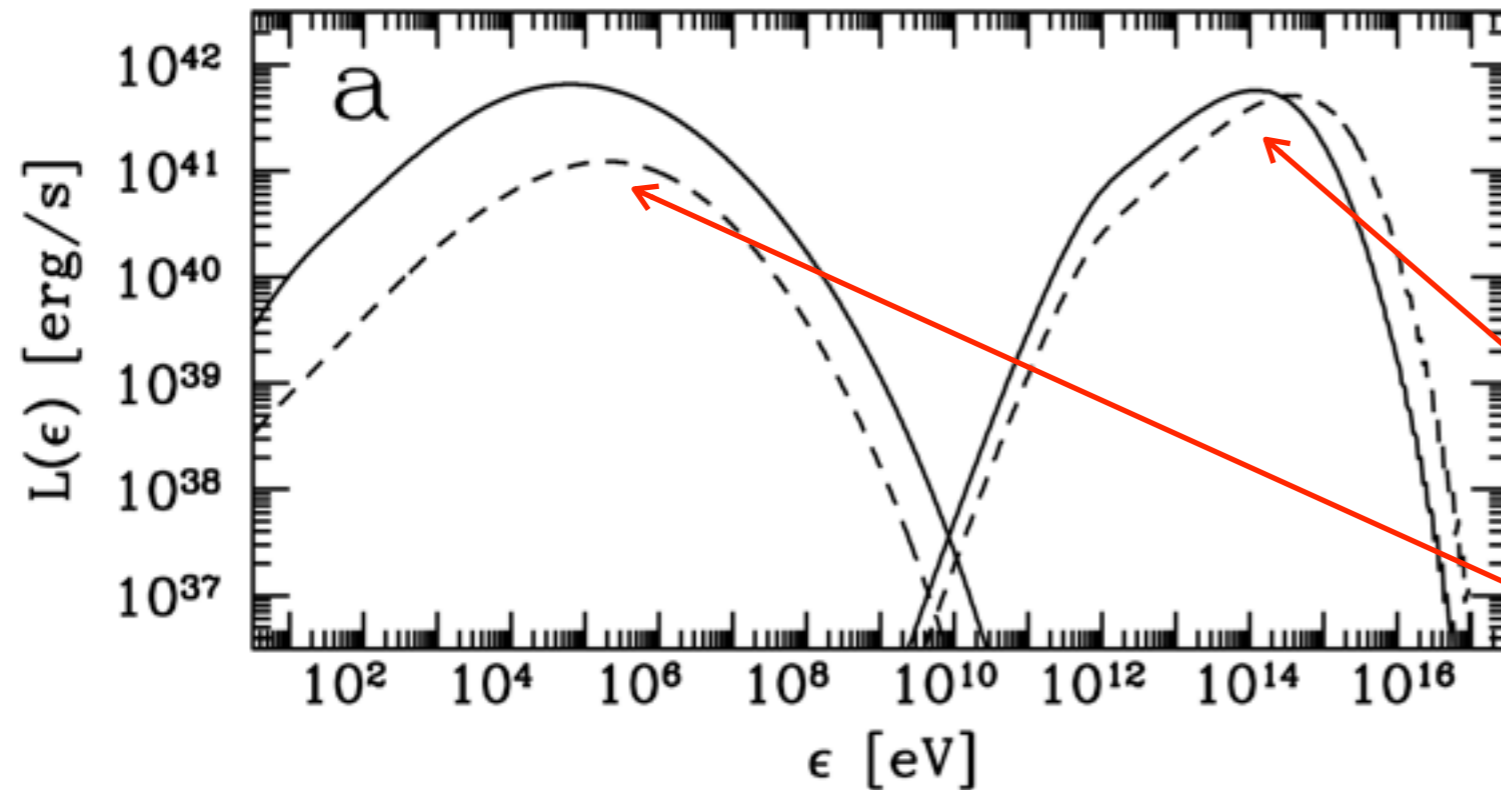
photon production



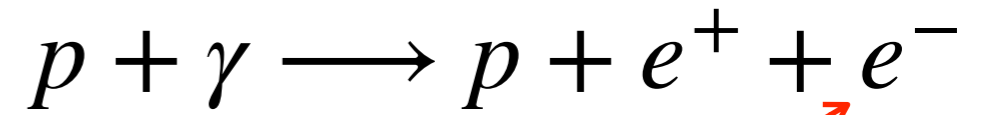
they cool quickly due to
inverse Compton scattering
and
synchrotron radiation



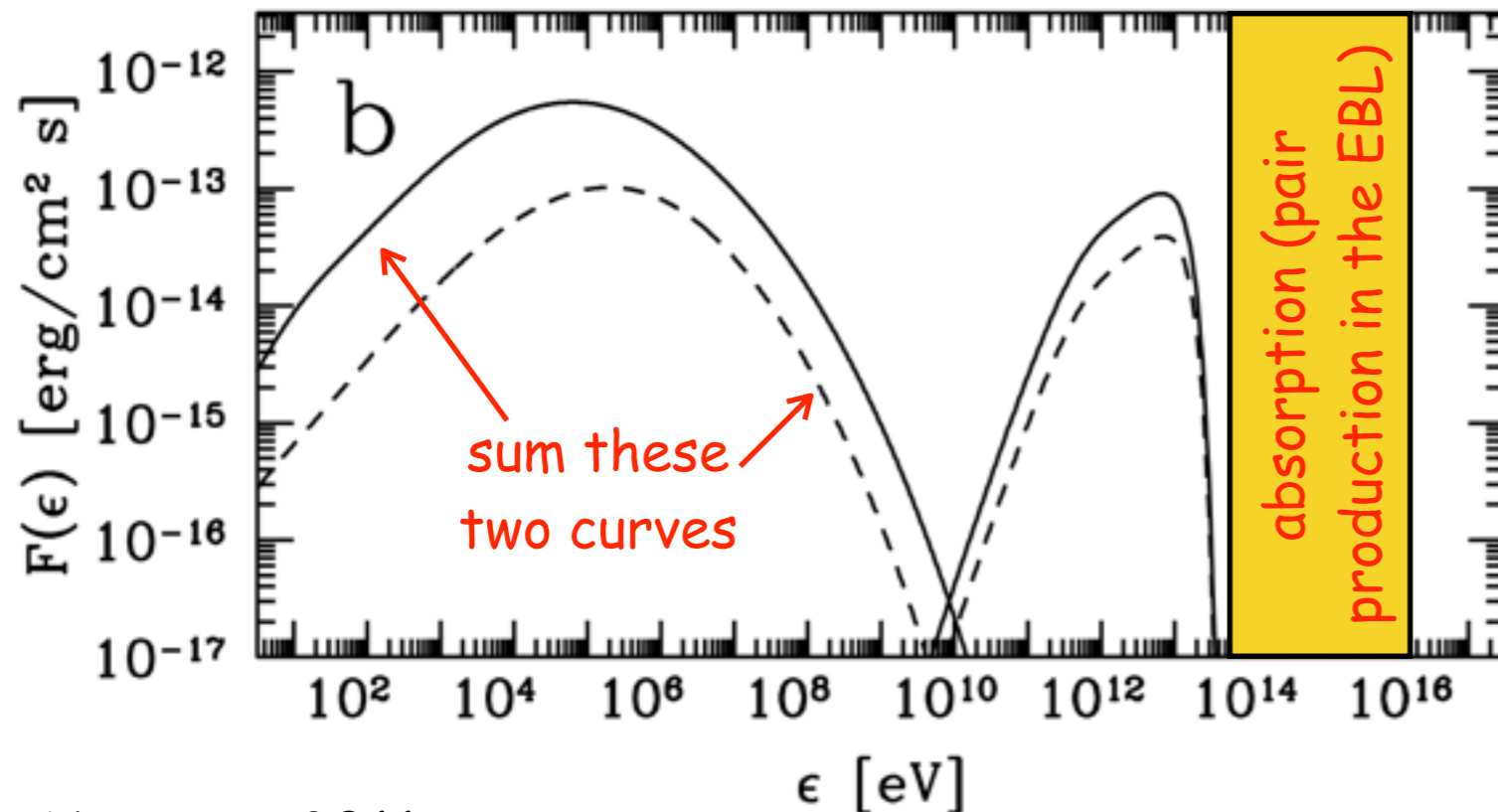
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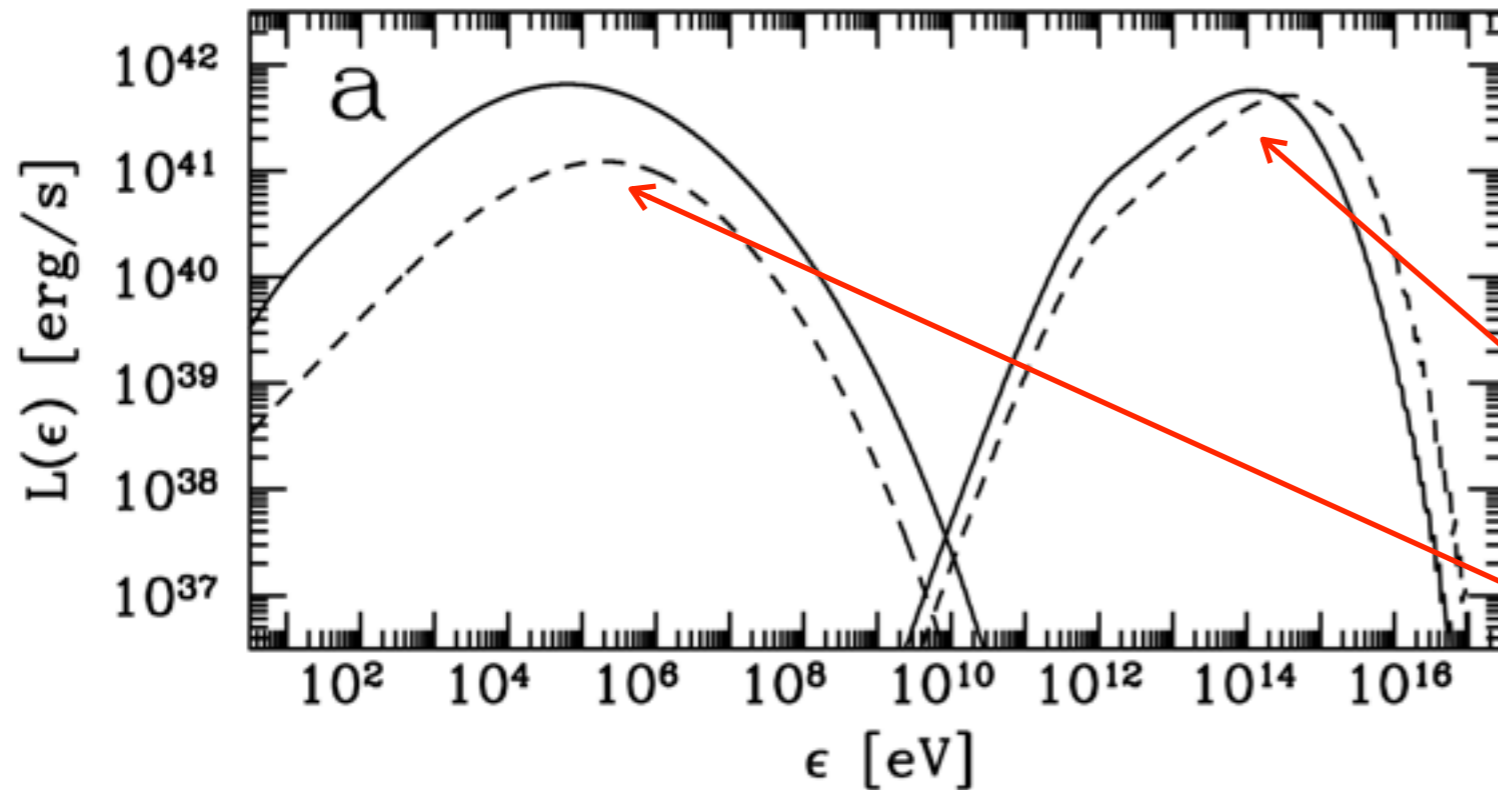
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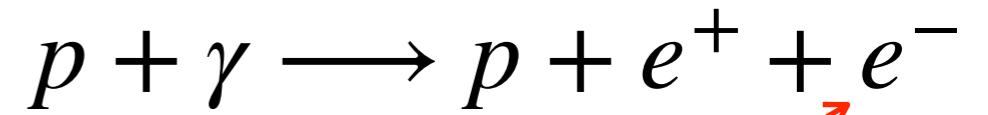
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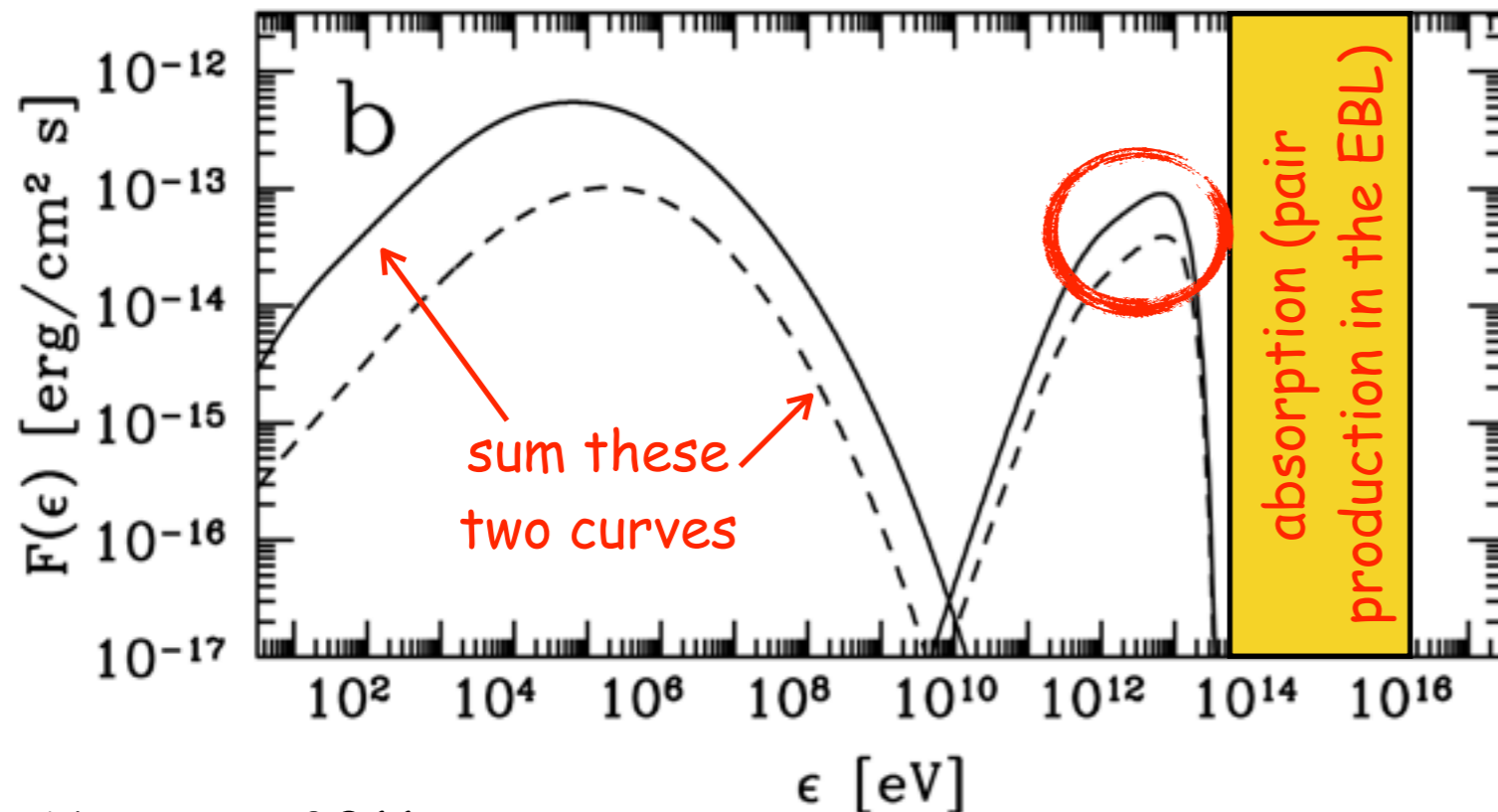
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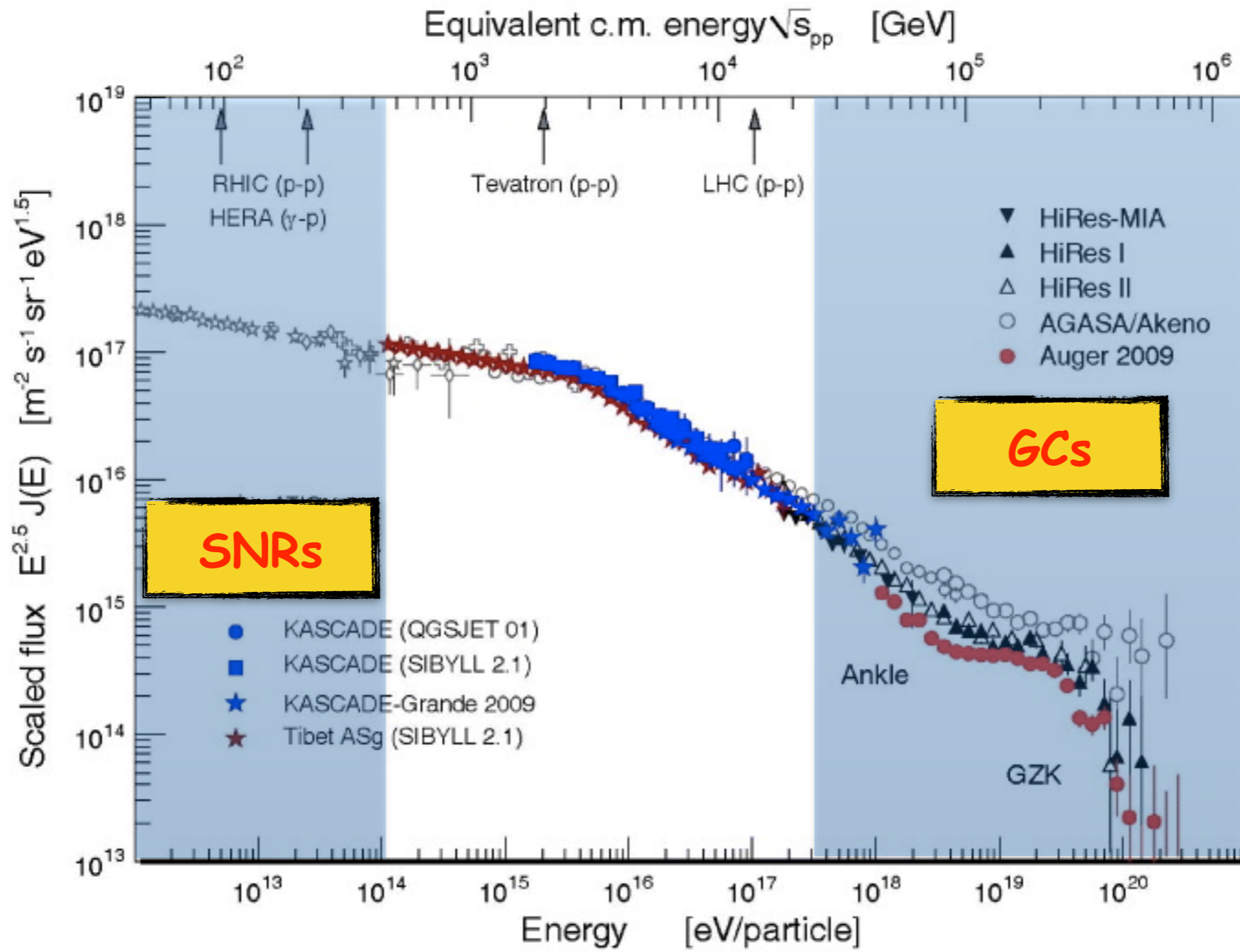
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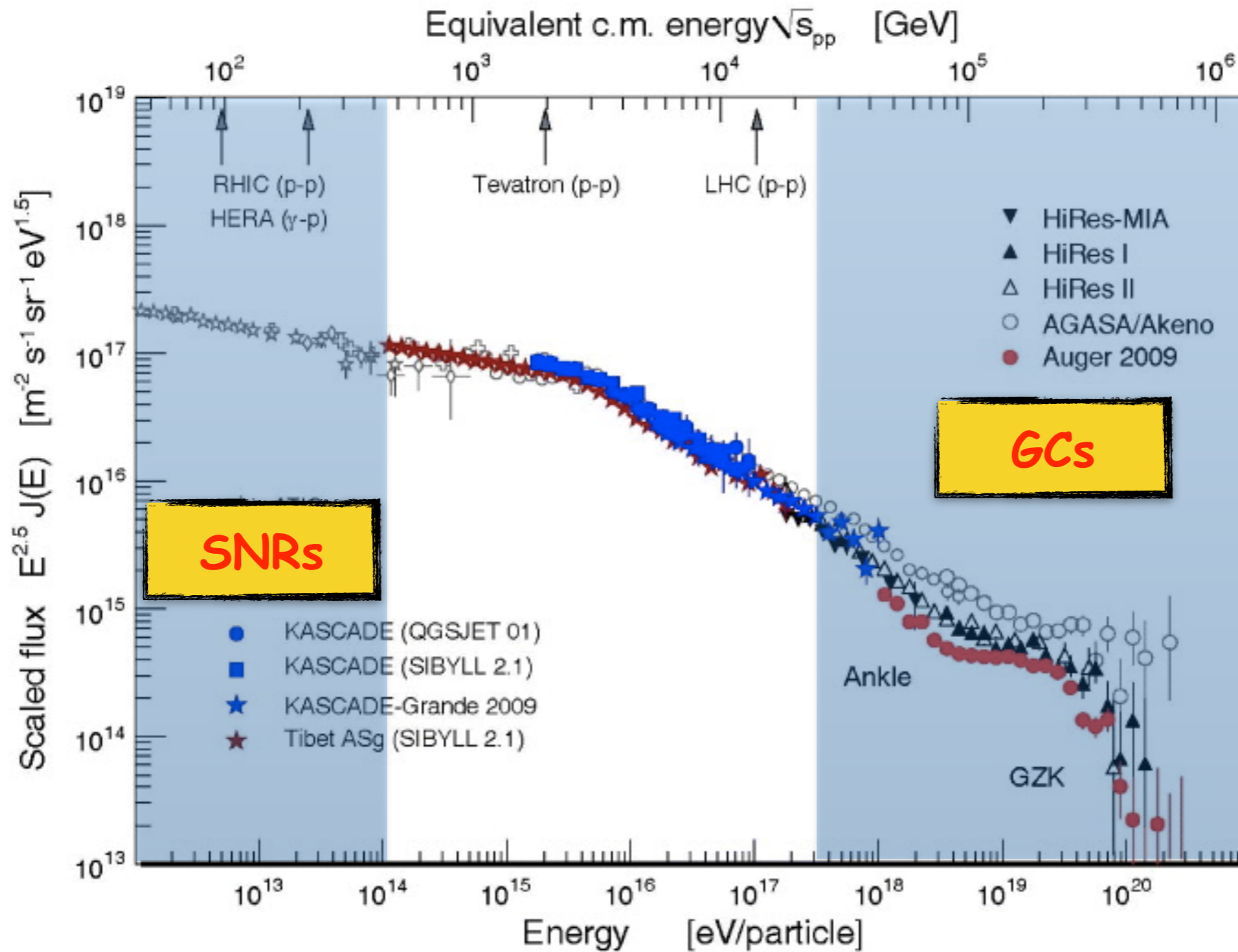
search for TeV gamma-rays!

optimistic case: 1%
gravitational energy into CRs,
Coma-like cluster @100 Mpc

So what?



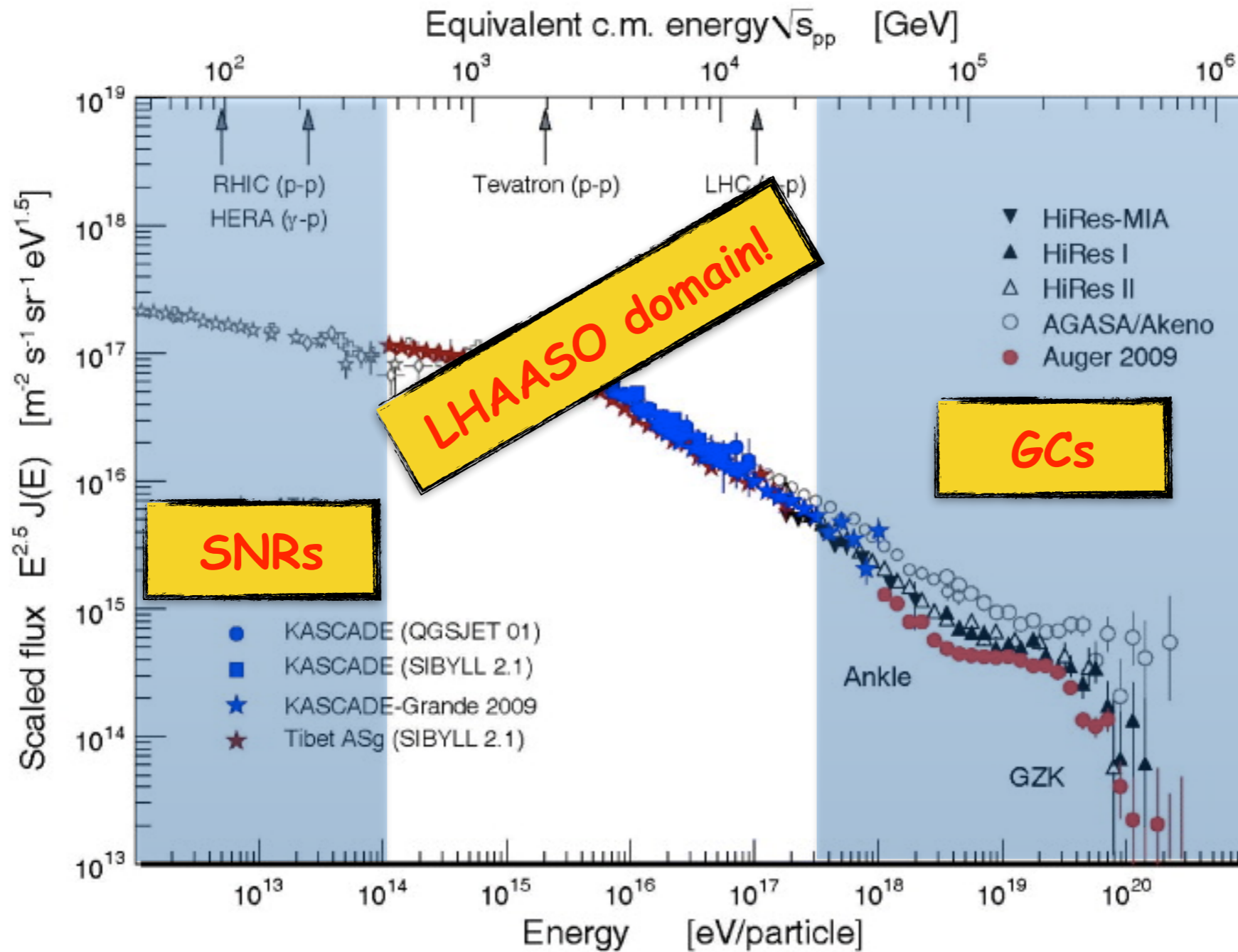
So what?



need for a third component?

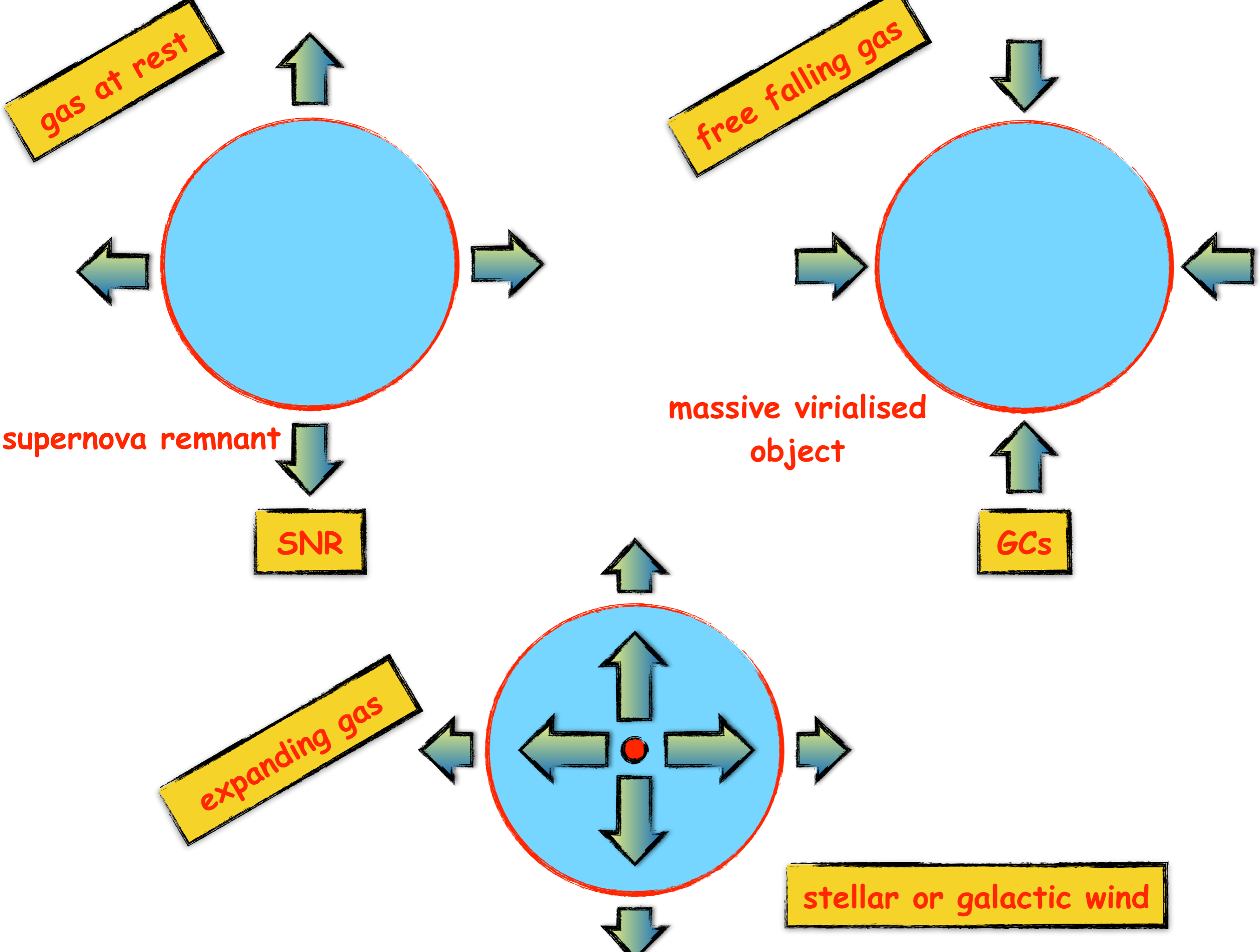
→ Hillas' "B" component proposed long ago, needed even if SNRs could accelerate up to the knee!

So what?



need for a third component?

→ Hillas' "B" component proposed long ago, needed even if SNRs could accelerate up to the knee!



Supernova Remnant

$R_{shock} = 3 \text{ pc}$

$V_{shock} = 10^4 \text{ km/s}$



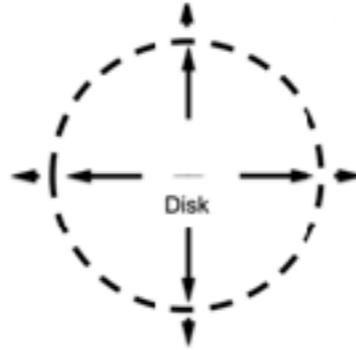
1 pc

$R_{shock} = 200 \text{ kpc}$

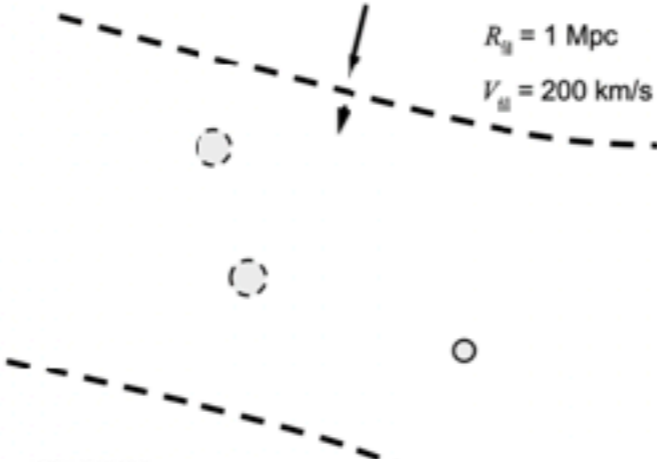
$V_{shock} = 750 \text{ km/s}$

100 kpc

Galactic Wind Termination Shock



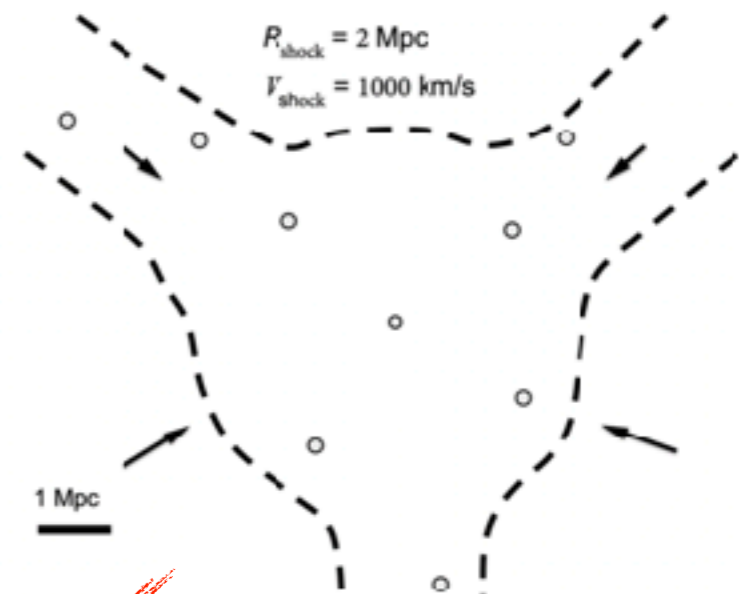
Filament Accretion Shock



$R_{fil} = 1 \text{ Mpc}$

$V_{fil} = 200 \text{ km/s}$

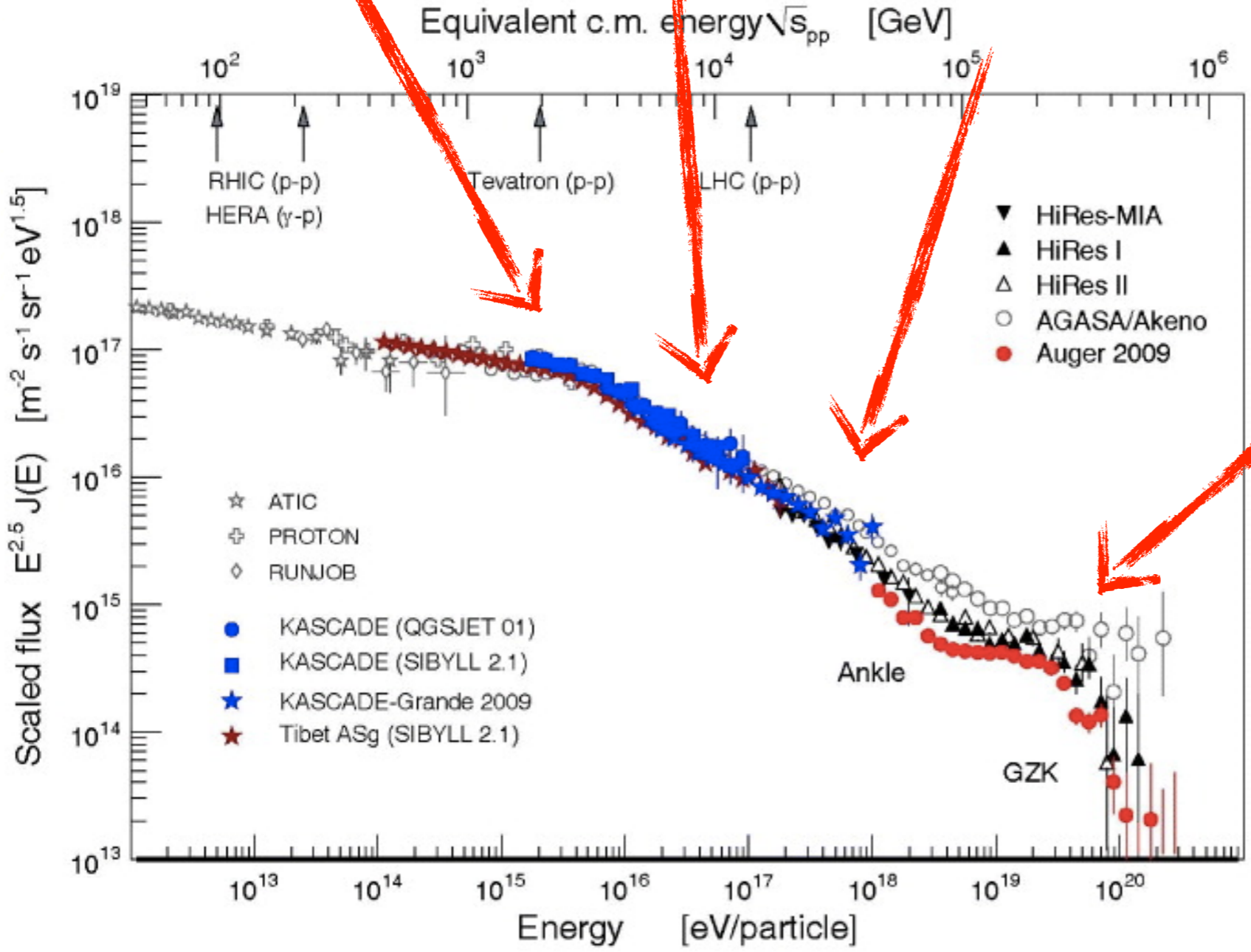
Cluster Accretion Shock



$R_{shock} = 2 \text{ Mpc}$

$V_{shock} = 1000 \text{ km/s}$

1 Mpc

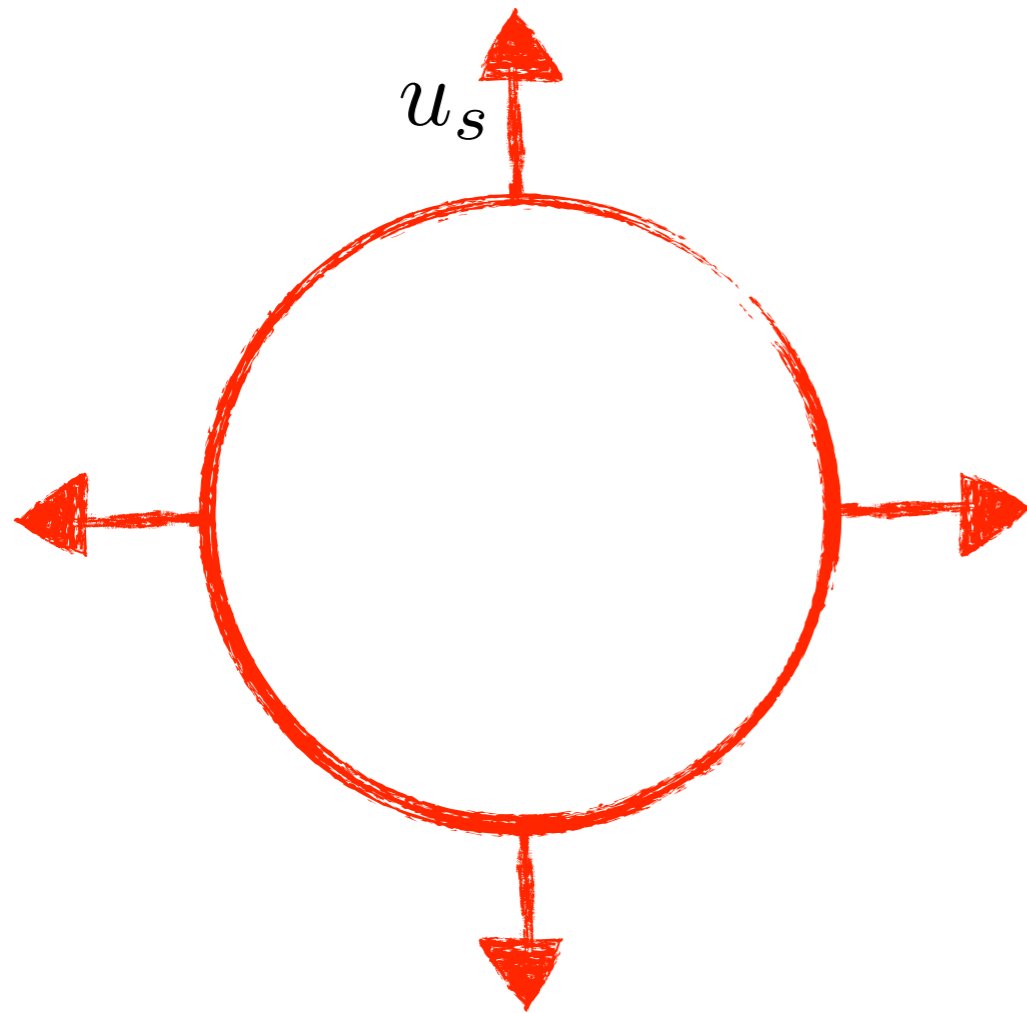


Stellar wind termination shocks

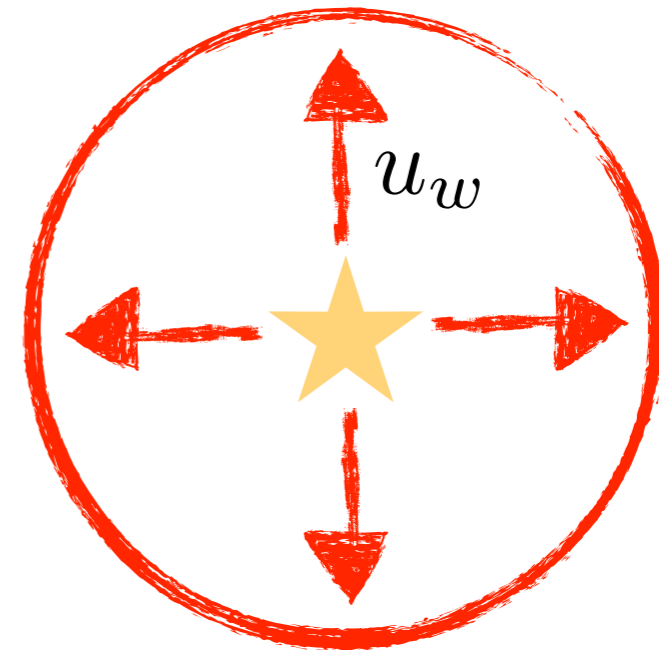


Cassé & Paul 1980, 1982 — Cesarsky & Montmerle 1983

SNR



WTS



$$u_s \approx u_w$$

analogy with solar WTS (Parker, Jokipii...) + DSA (BOBALSKY...)

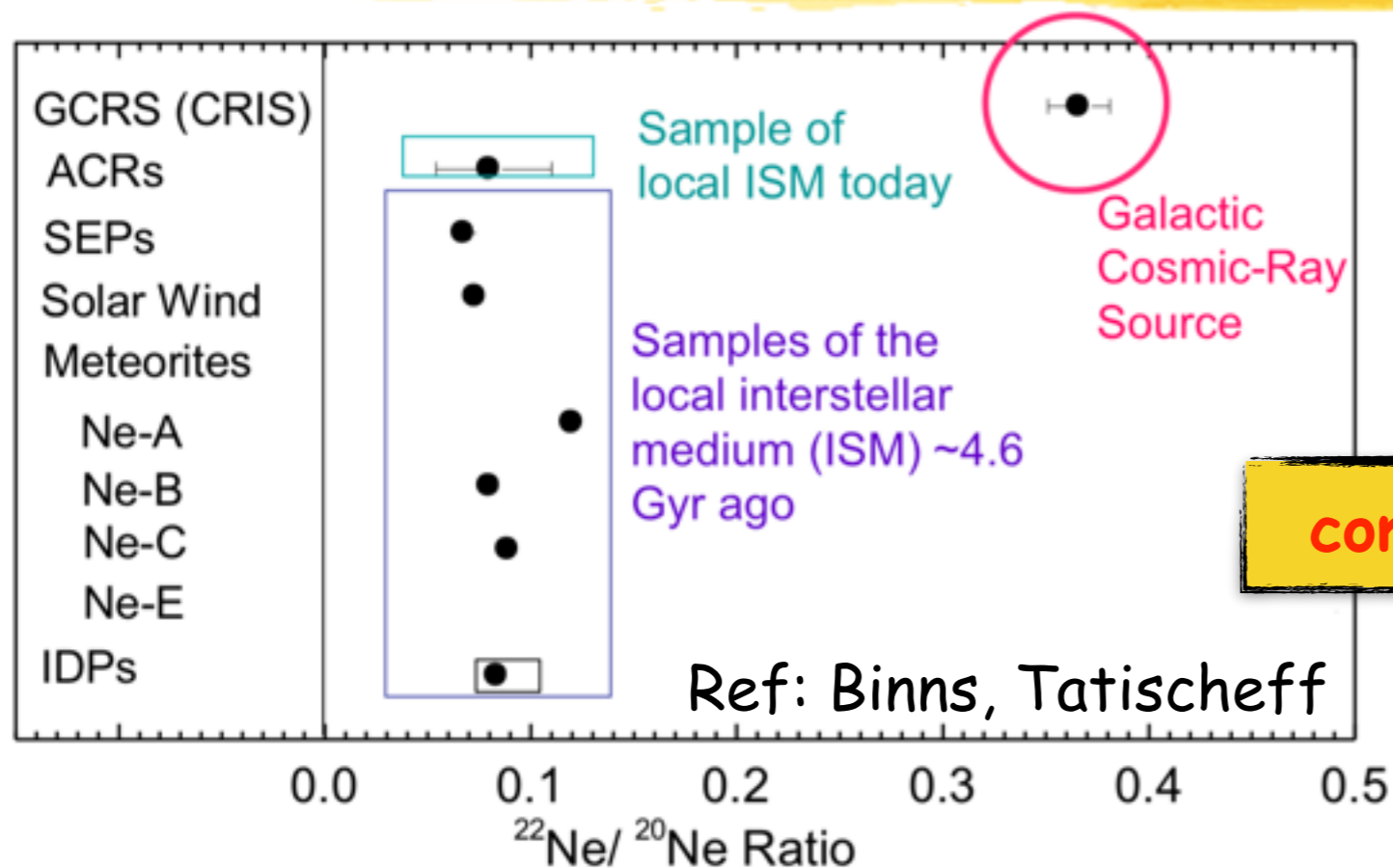
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Cassé & Paul 1980, 1982 — Cesarsky & Montmerle 1983

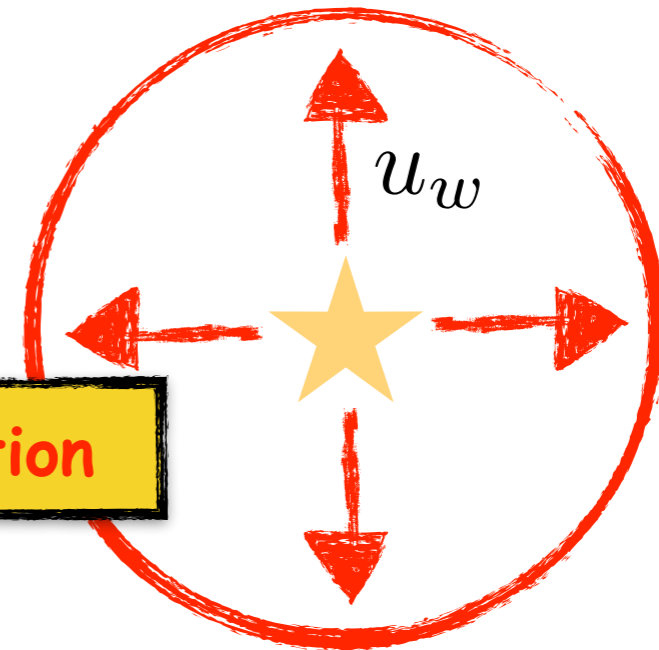


SNR

WTS



composition

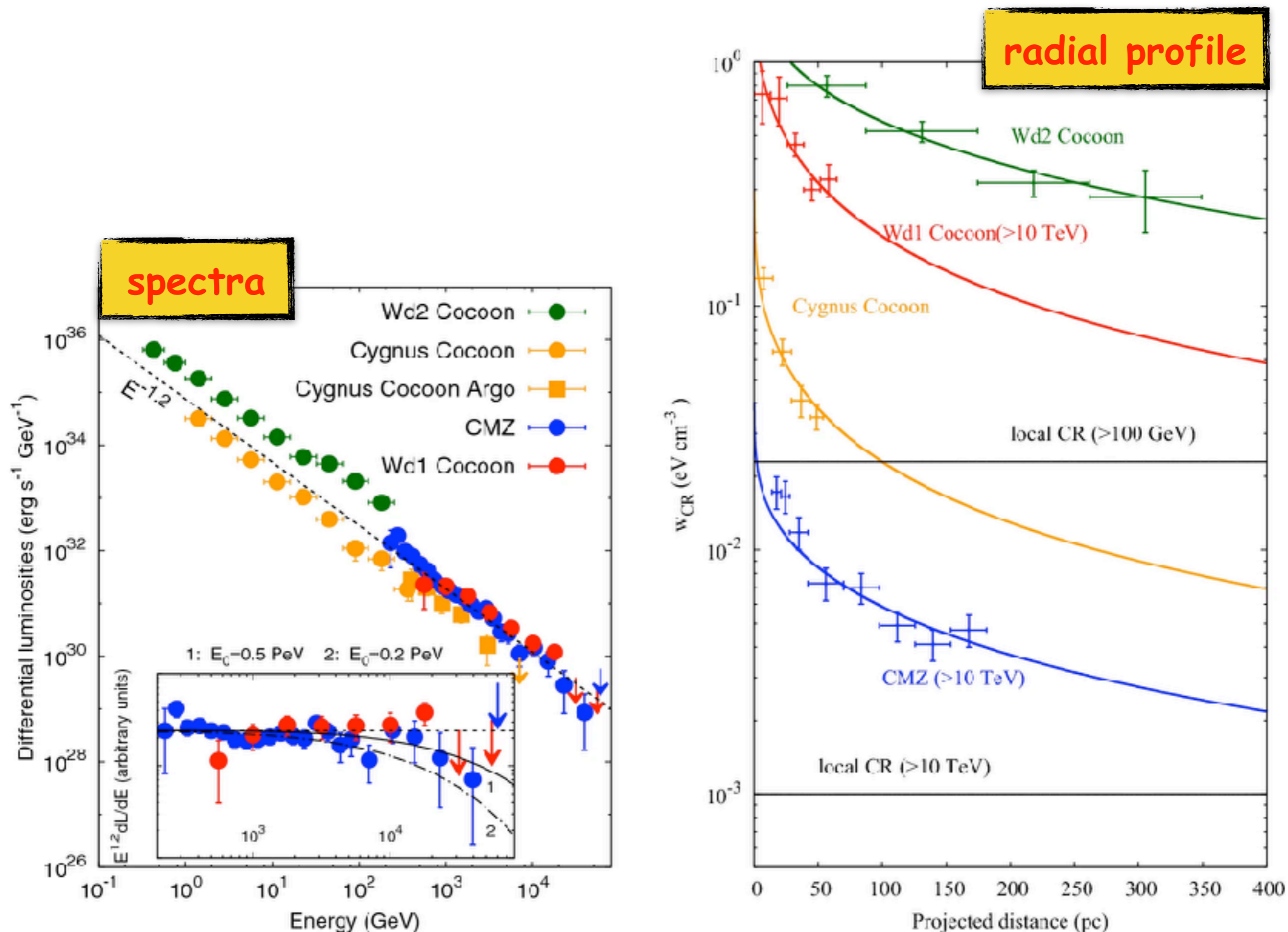


analogy with solar WTS (Parker, Jokipii...) + DSA (BOBALSKY...)

Bonus: Wolf-Rayet wind material enriched in ^{22}Ne \rightarrow composition (with dilution)

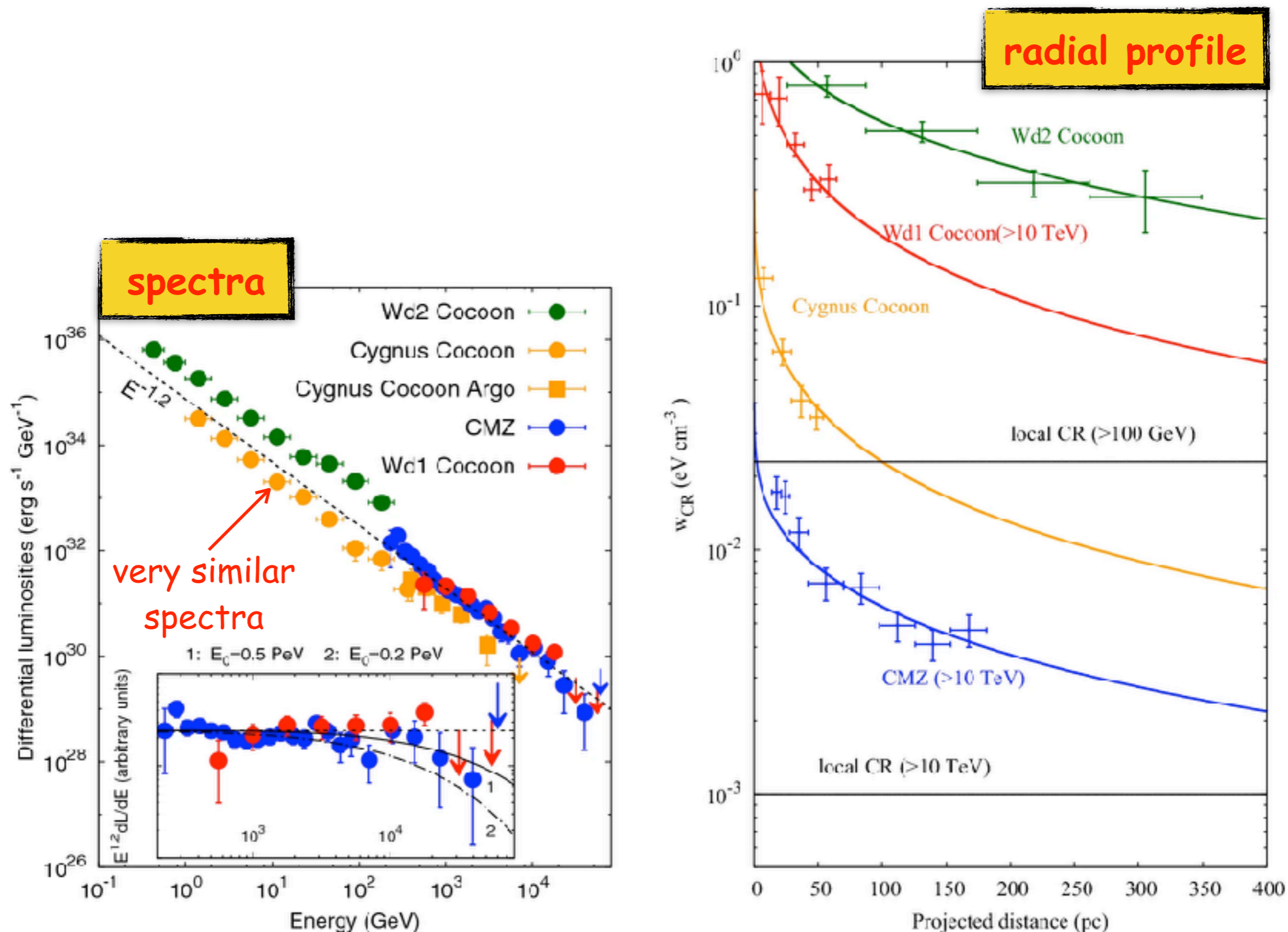
Stars or star clusters? Gamma rays...

Aharonian+ 2019, plus several papers especially by Yang and collaborators



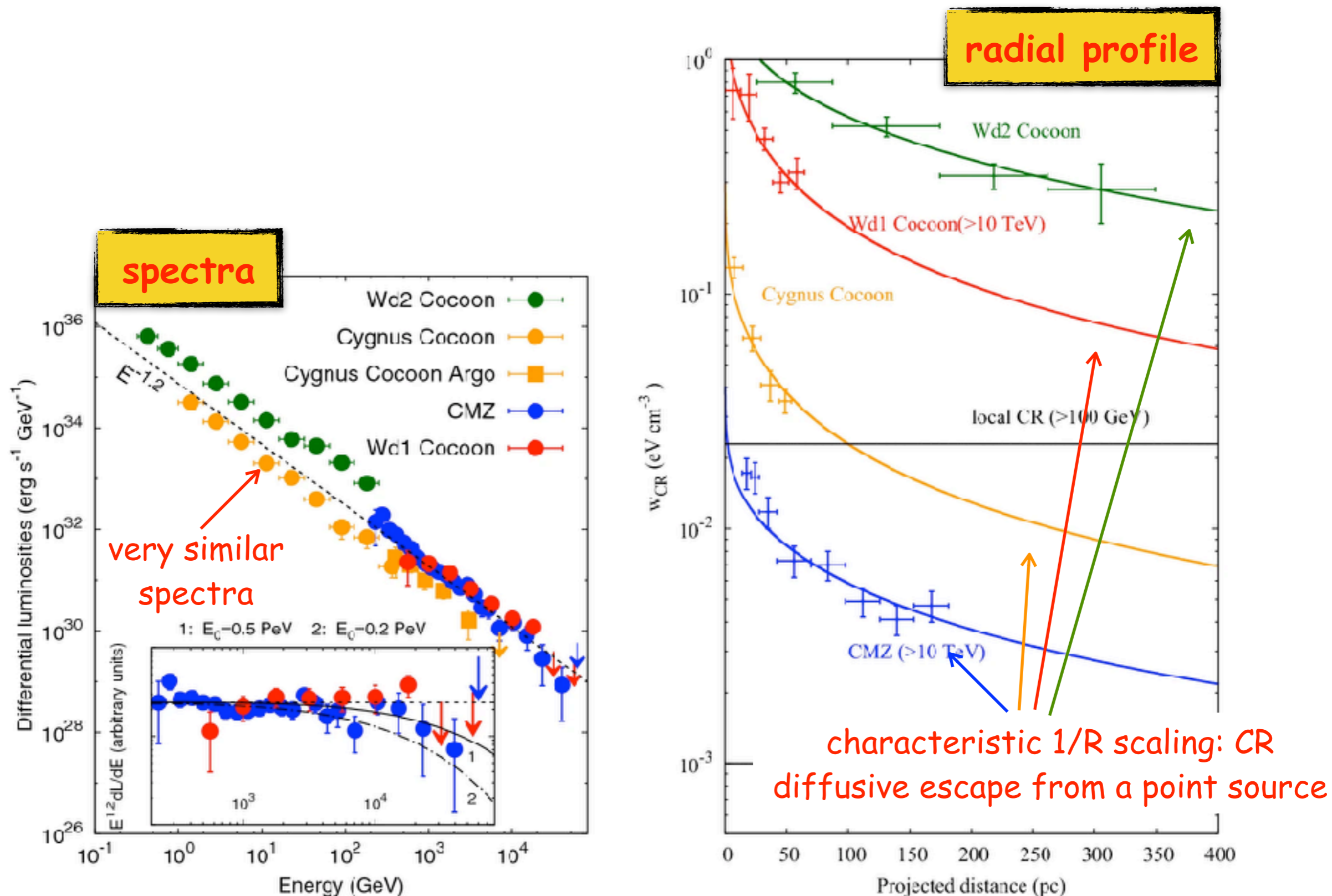
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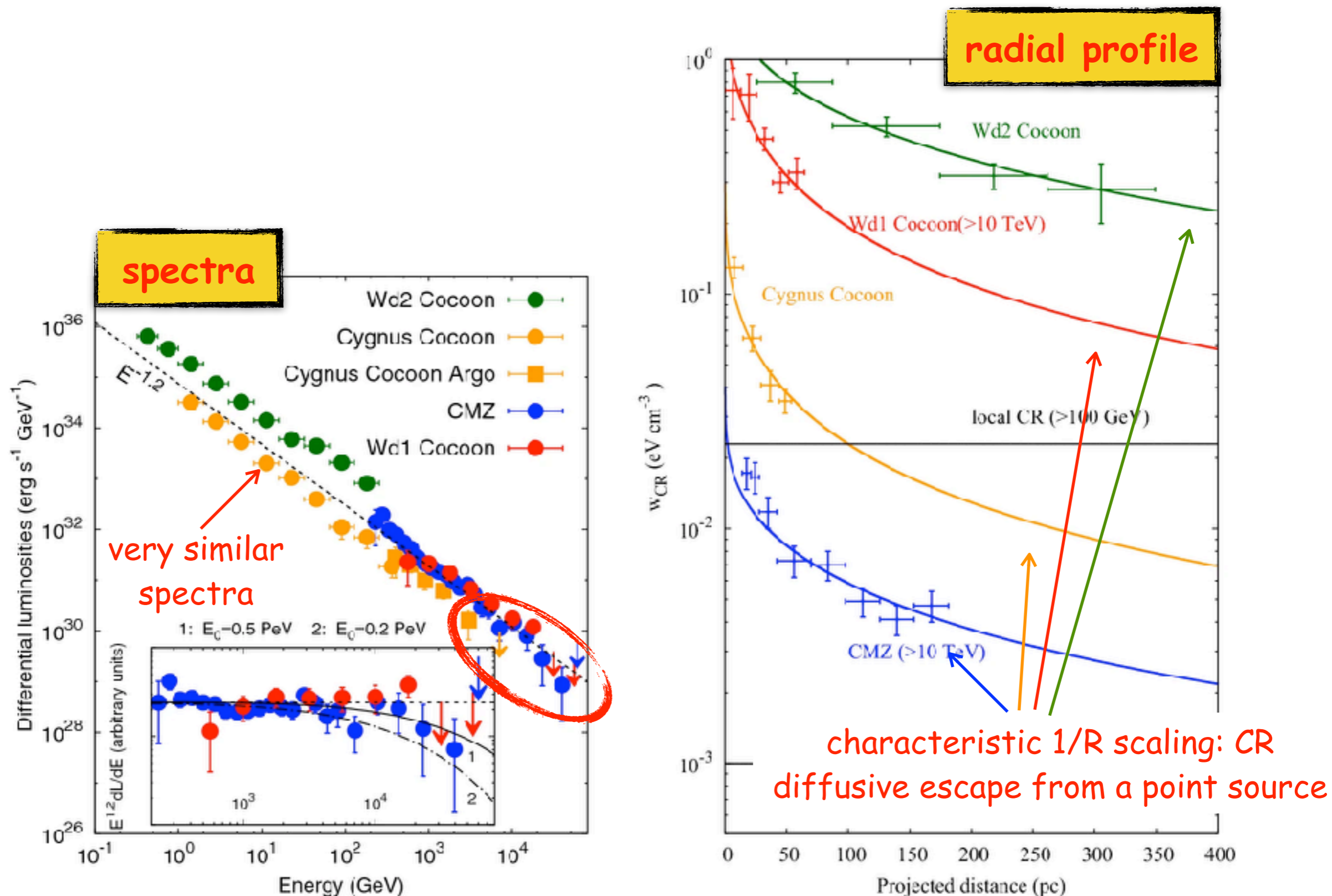
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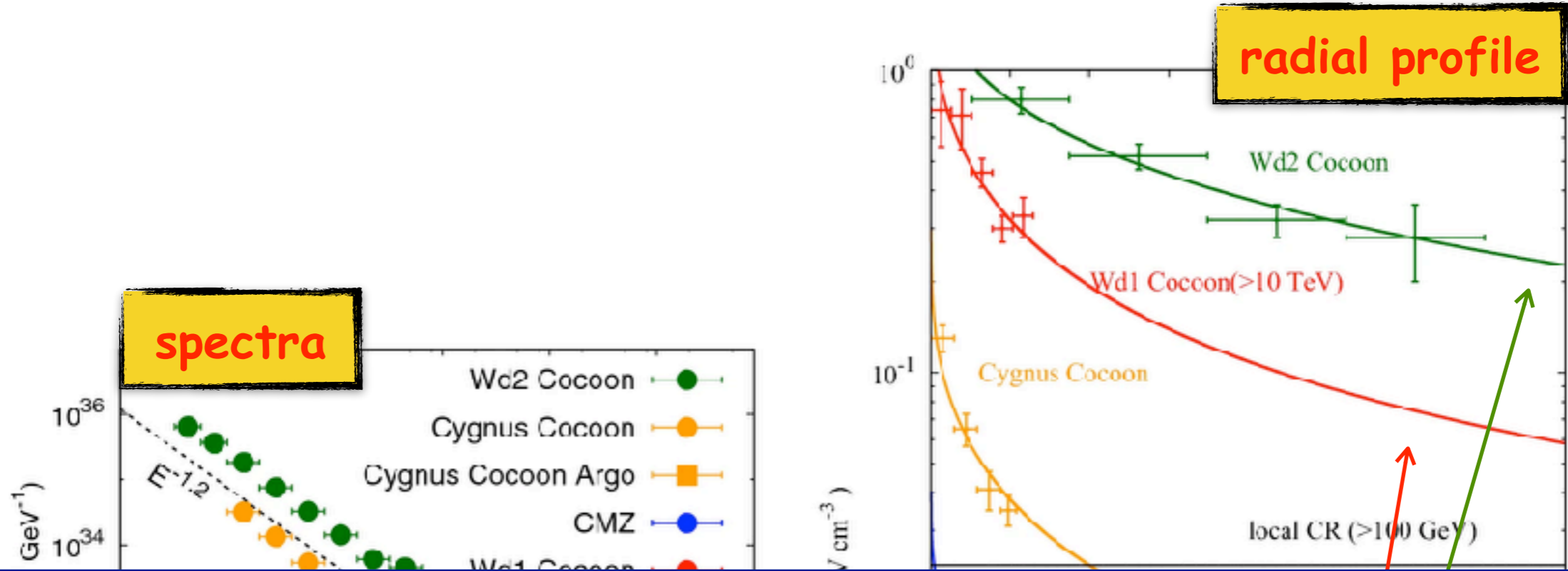
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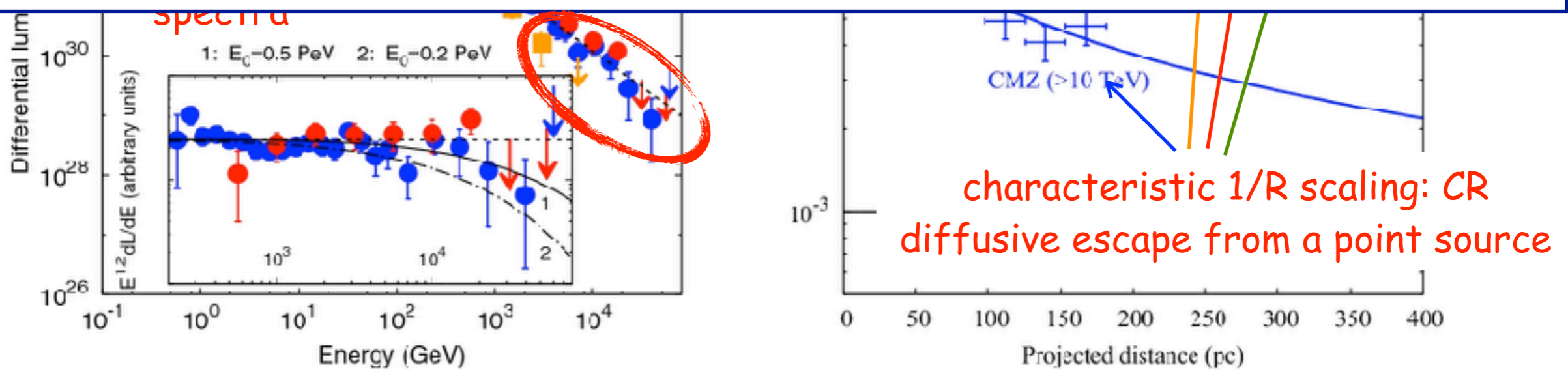


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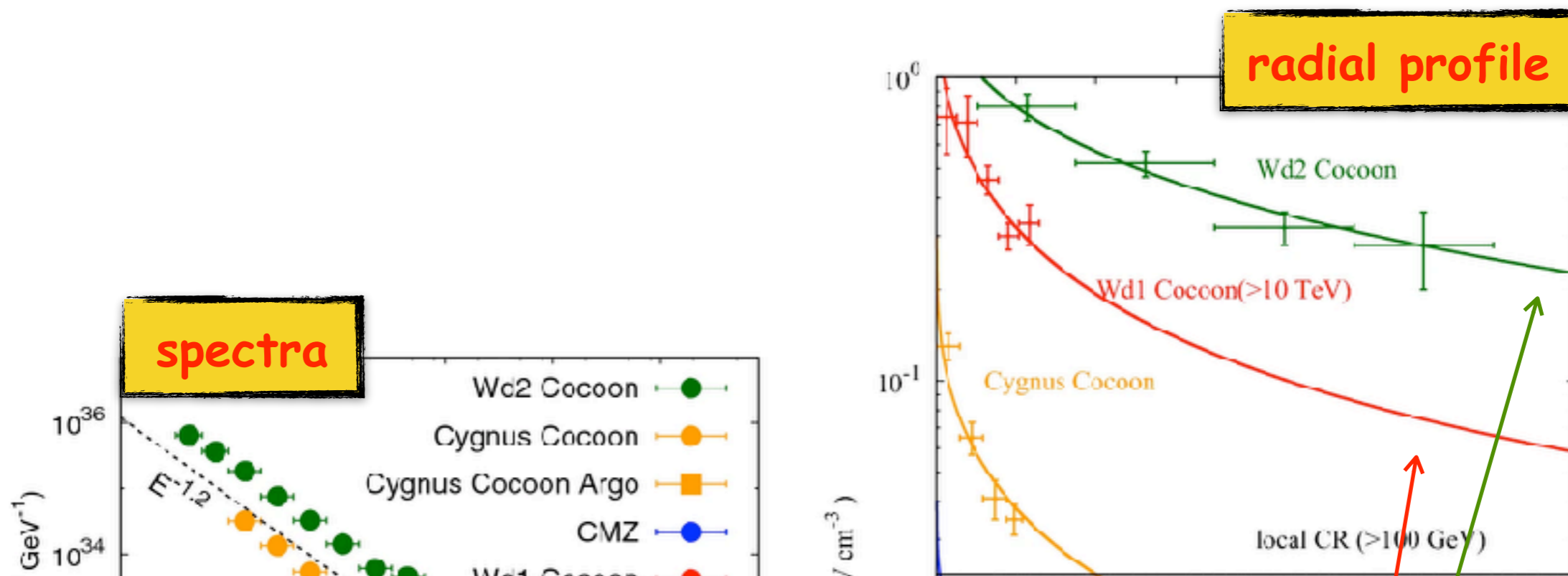


The efficiency of conversion of kinetic energy of stellar winds to CRs can be as high as 10 percent implying that the young massive stars may operate as proton PeVatrons with a dominant contribution to the flux of highest energy galactic CRs.

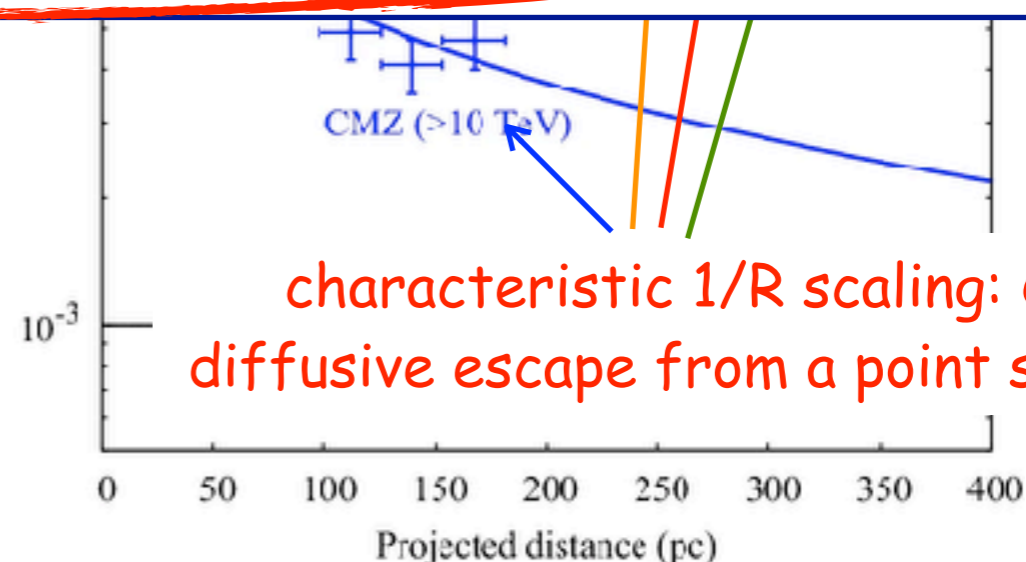
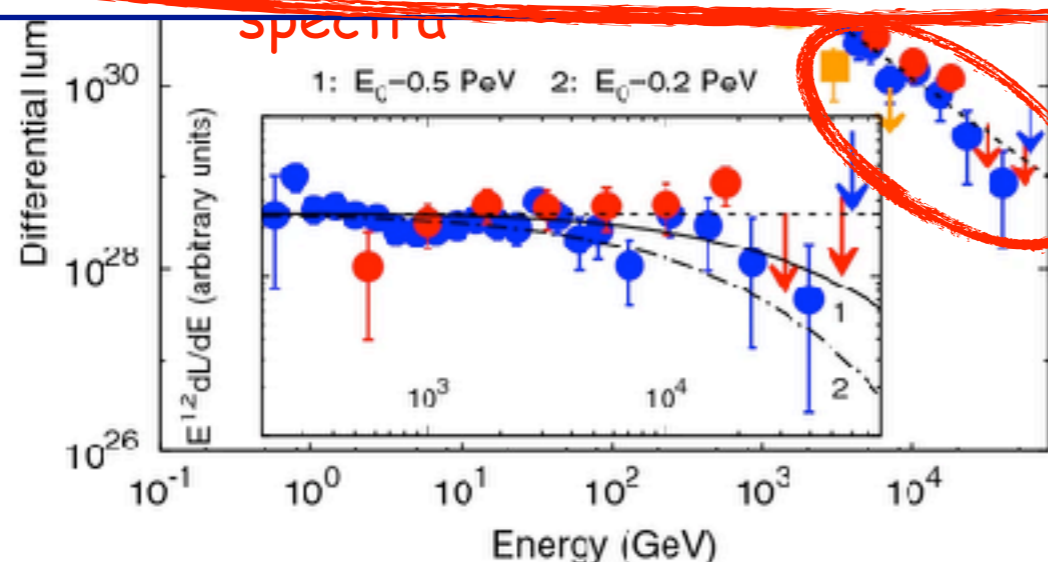


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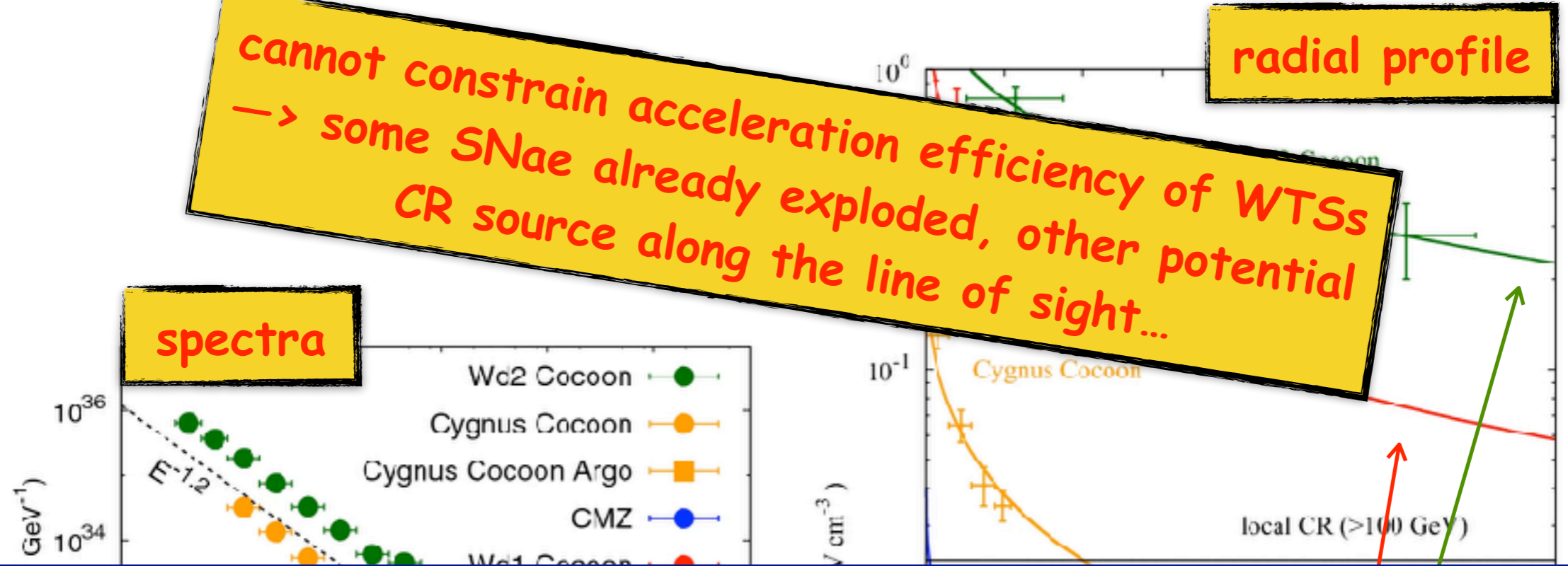


characteristic $1/R$ scaling: CR diffusive escape from a point source

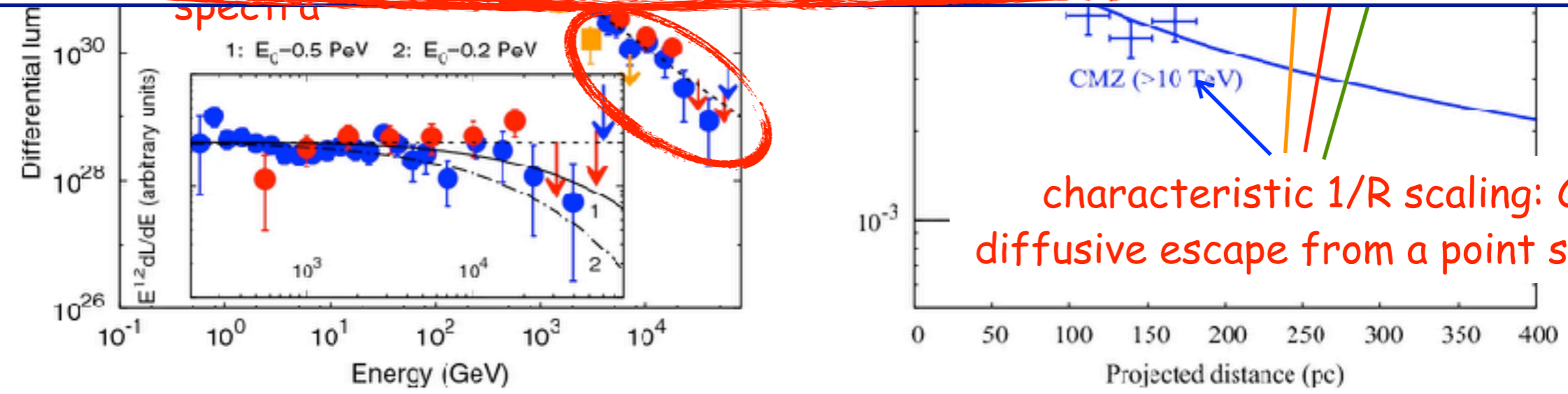
Stars or star clusters? Gamma rays...

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cannot constrain acceleration efficiency of WTSS
 → some SNae already exploded, other potential CR source along the line of sight...



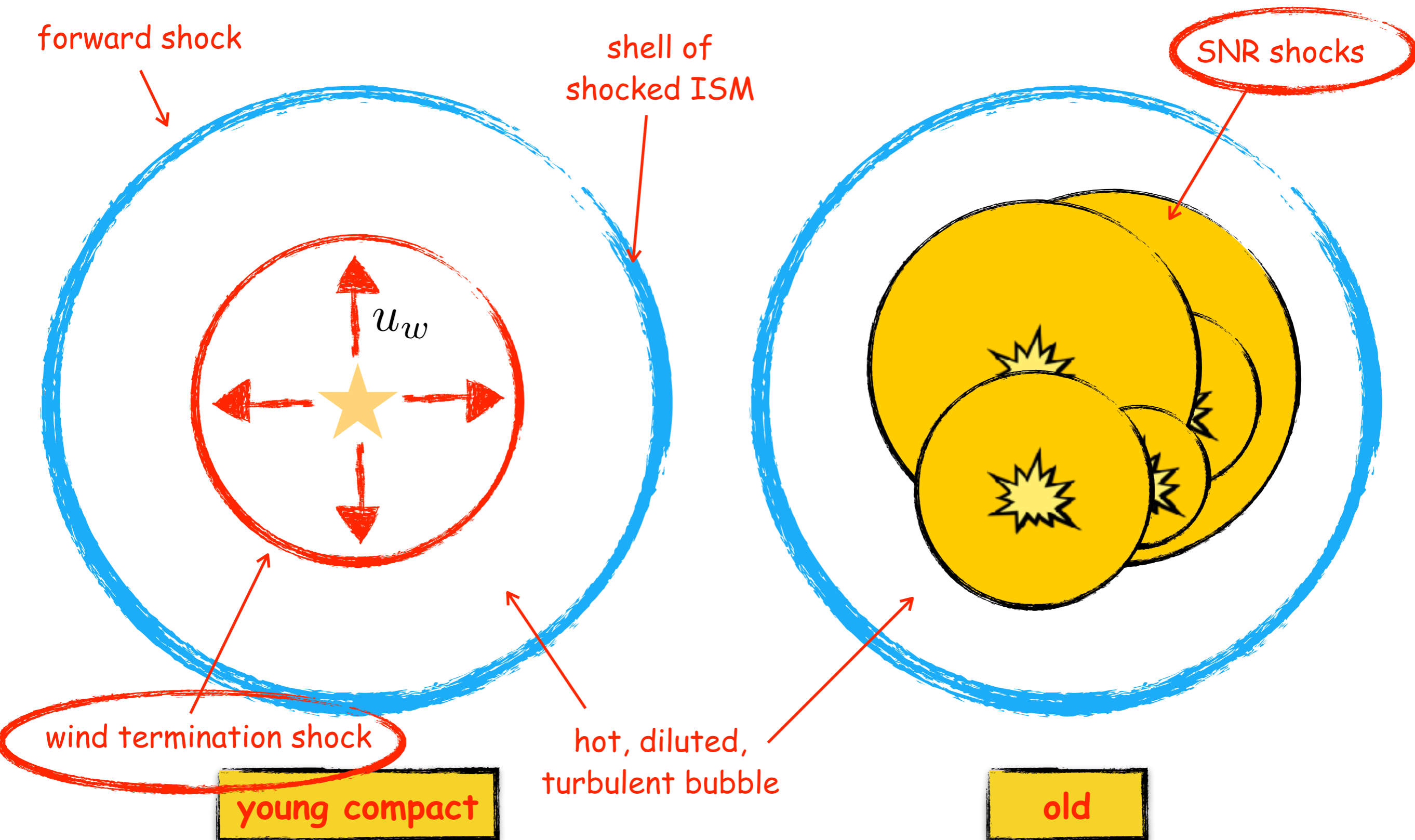
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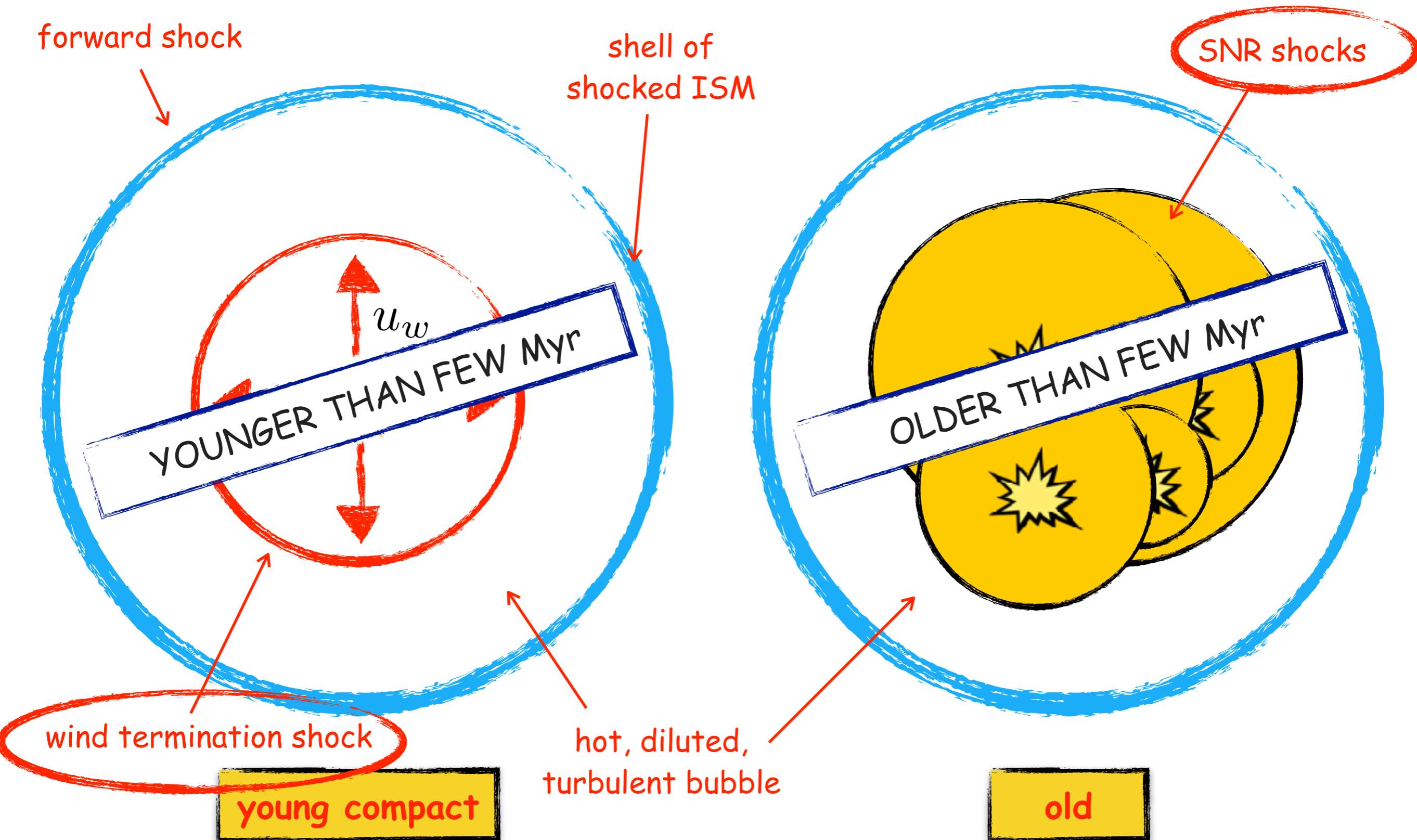
Interstellar bubbles around star clusters

Castor+ 75, Weaver+ 77, McCray&Kafatos 87, Mac Low&McCray 88, Koo&McKee 92...

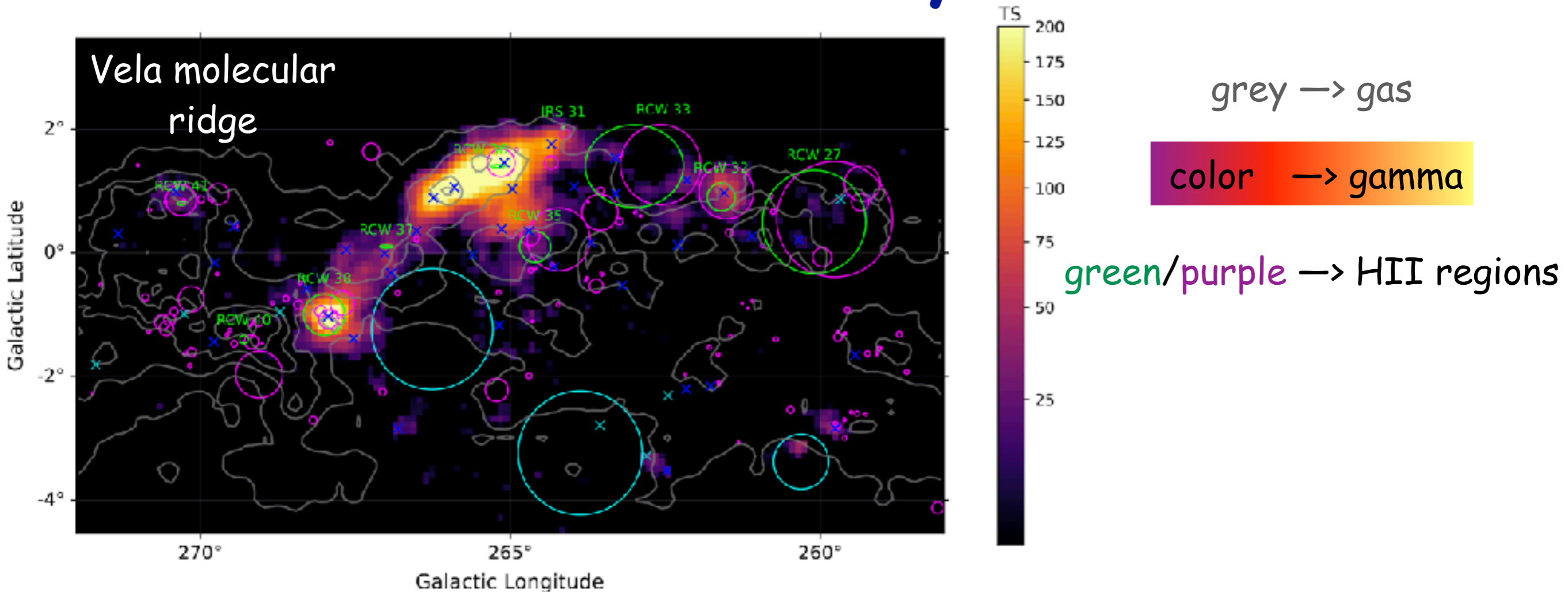


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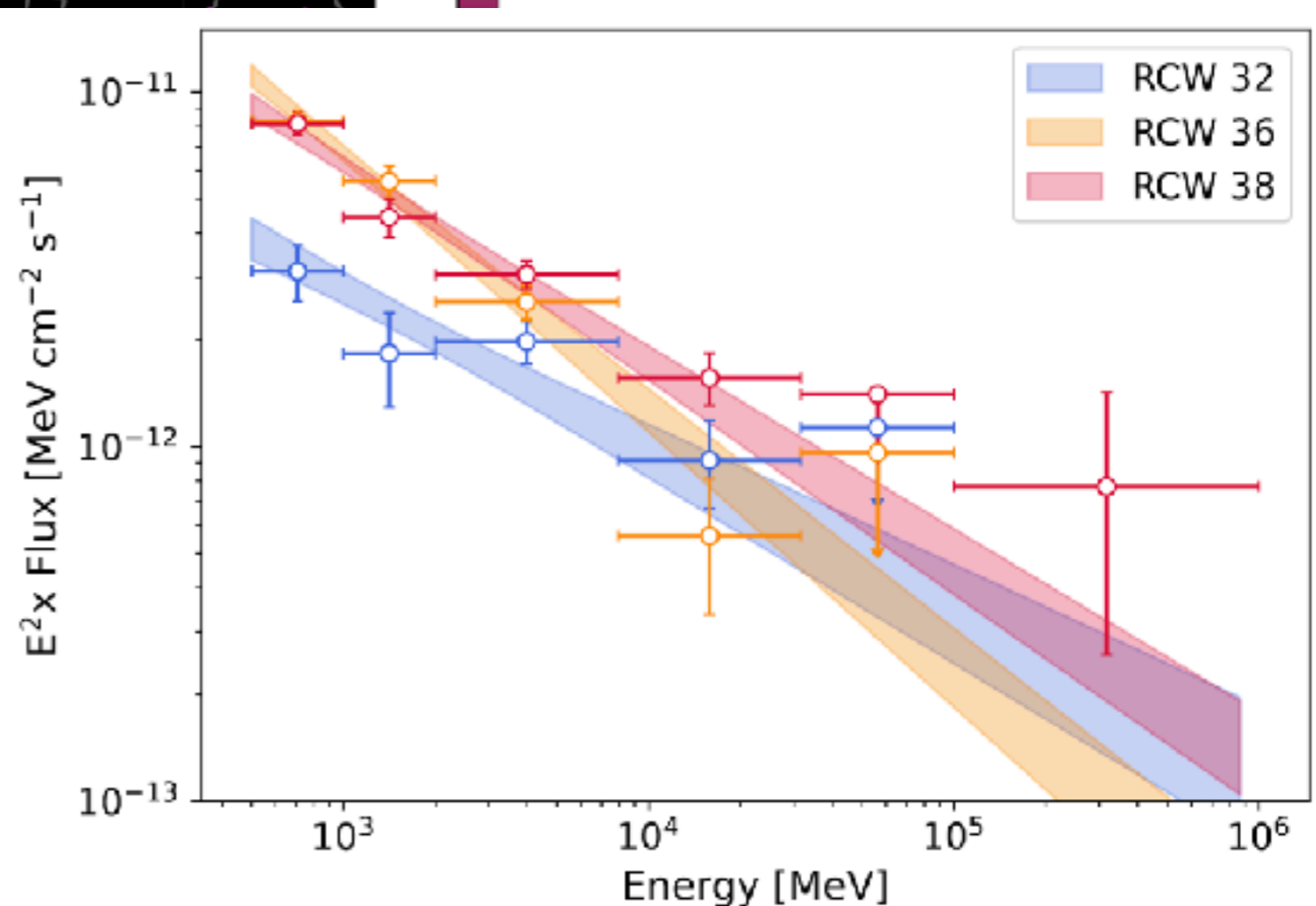
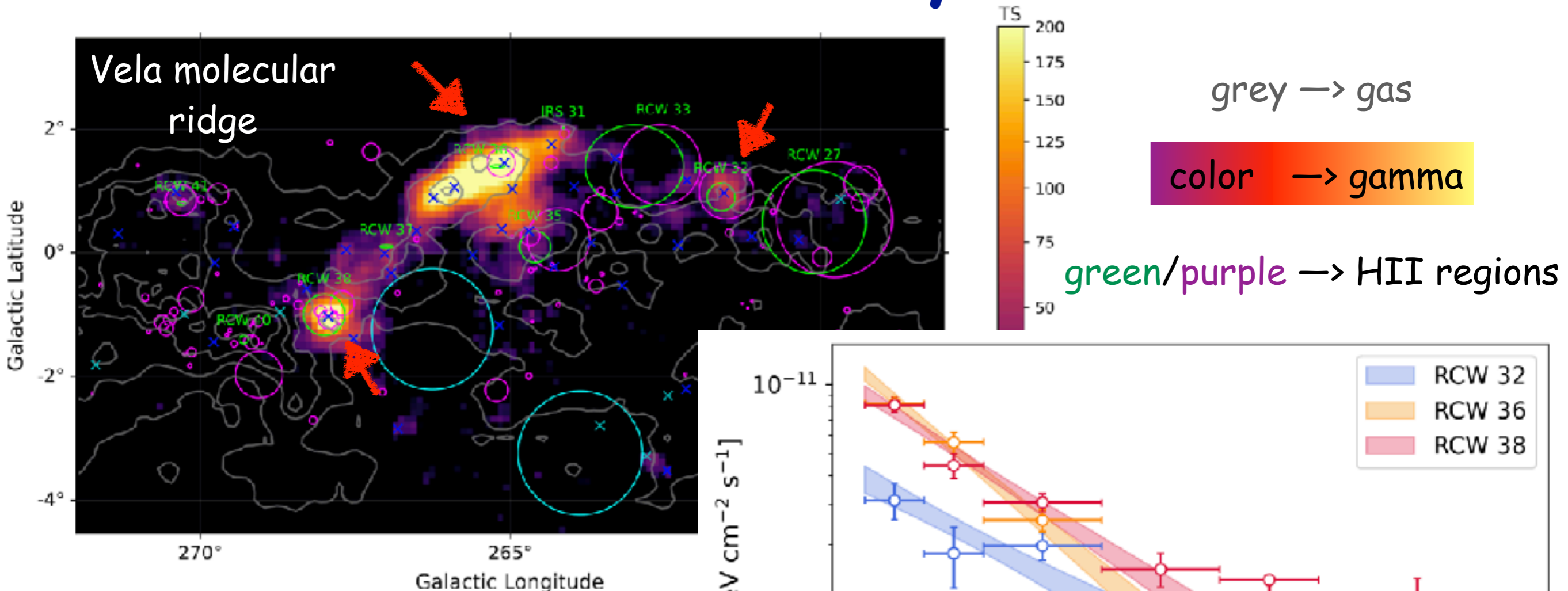
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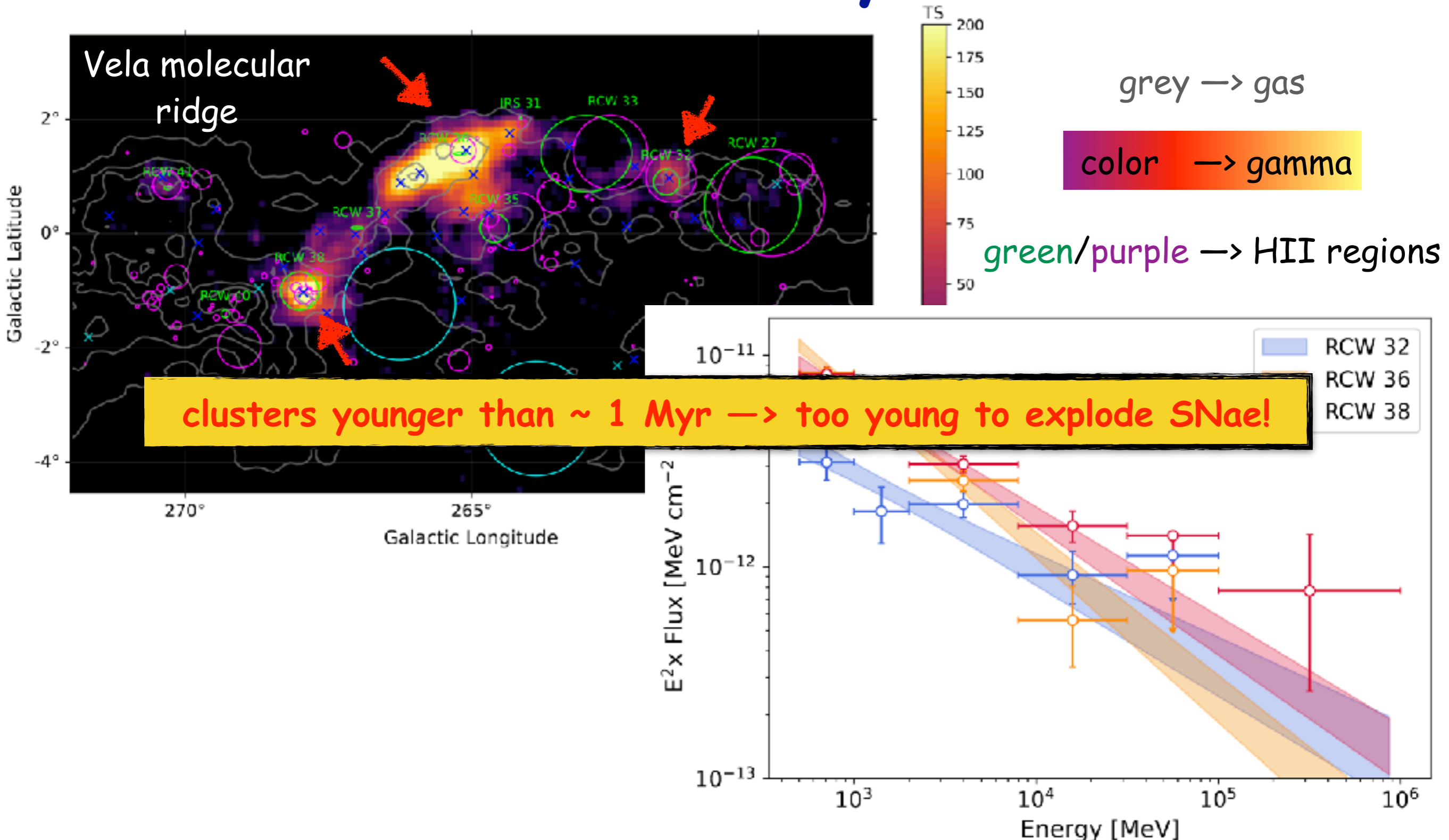
Wind termination shocks accelerate cosmic rays



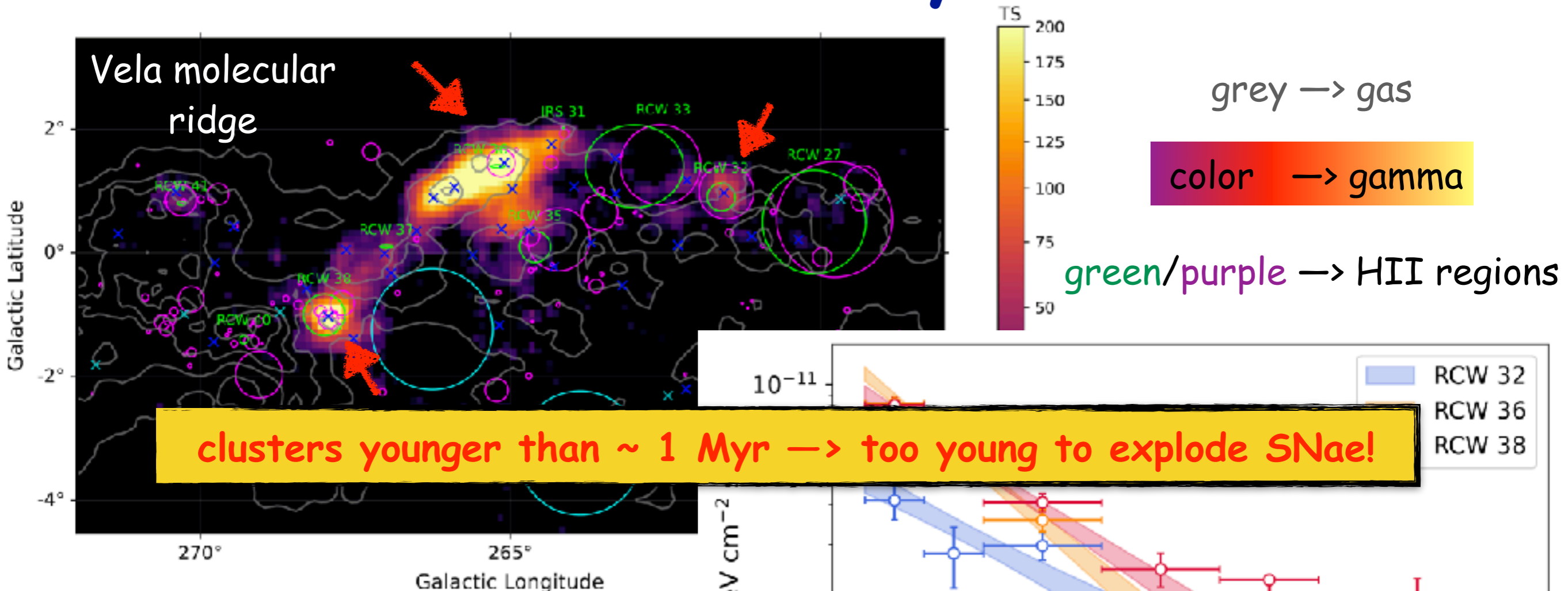
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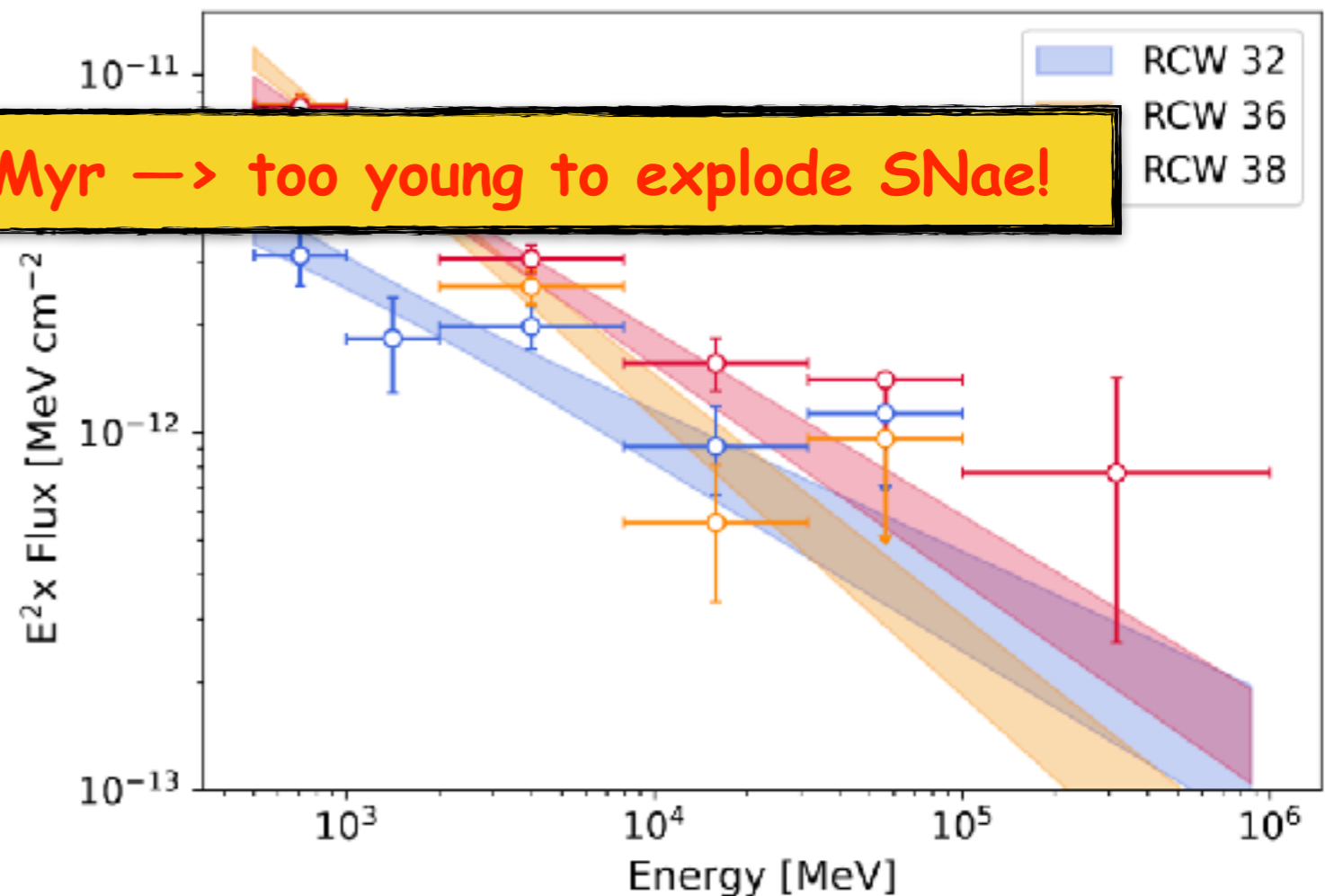


Wind termination shocks accelerate cosmic rays

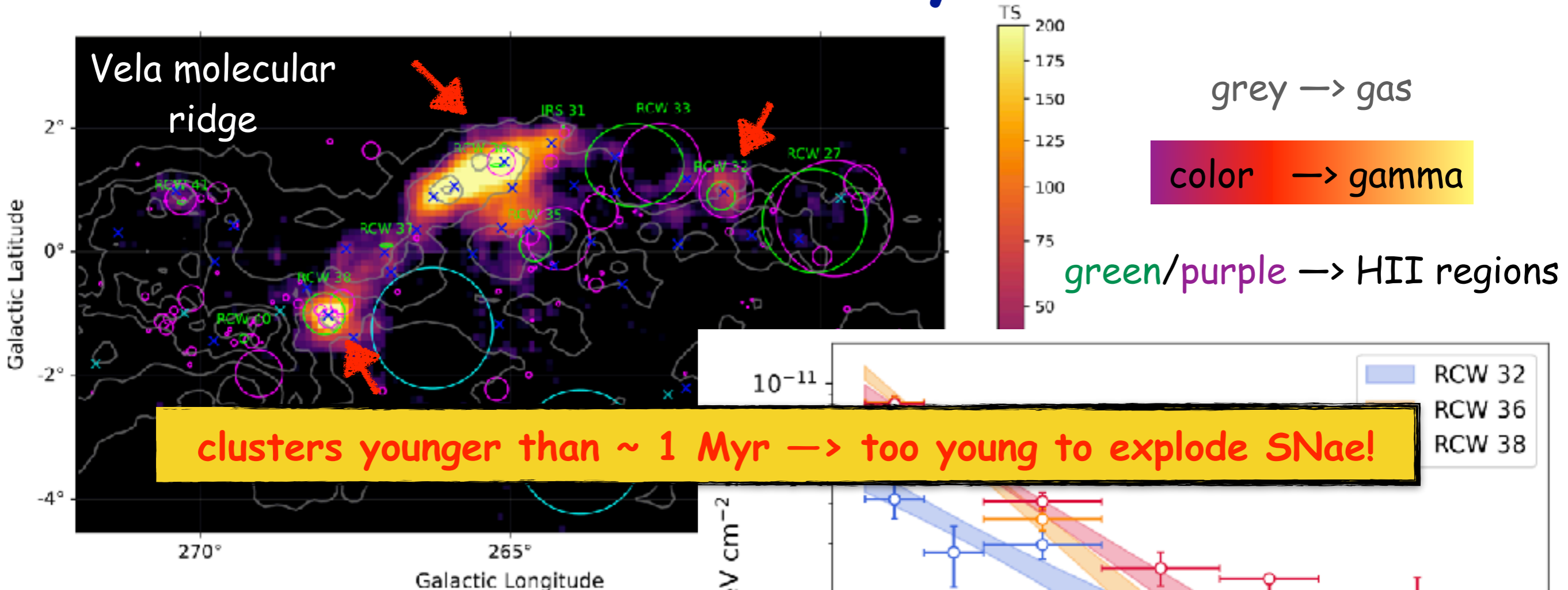


strict lower bound on the CR acceleration efficiency (energy)

$$\eta_{CR} > 1\%$$



Wind termination shocks accelerate cosmic rays

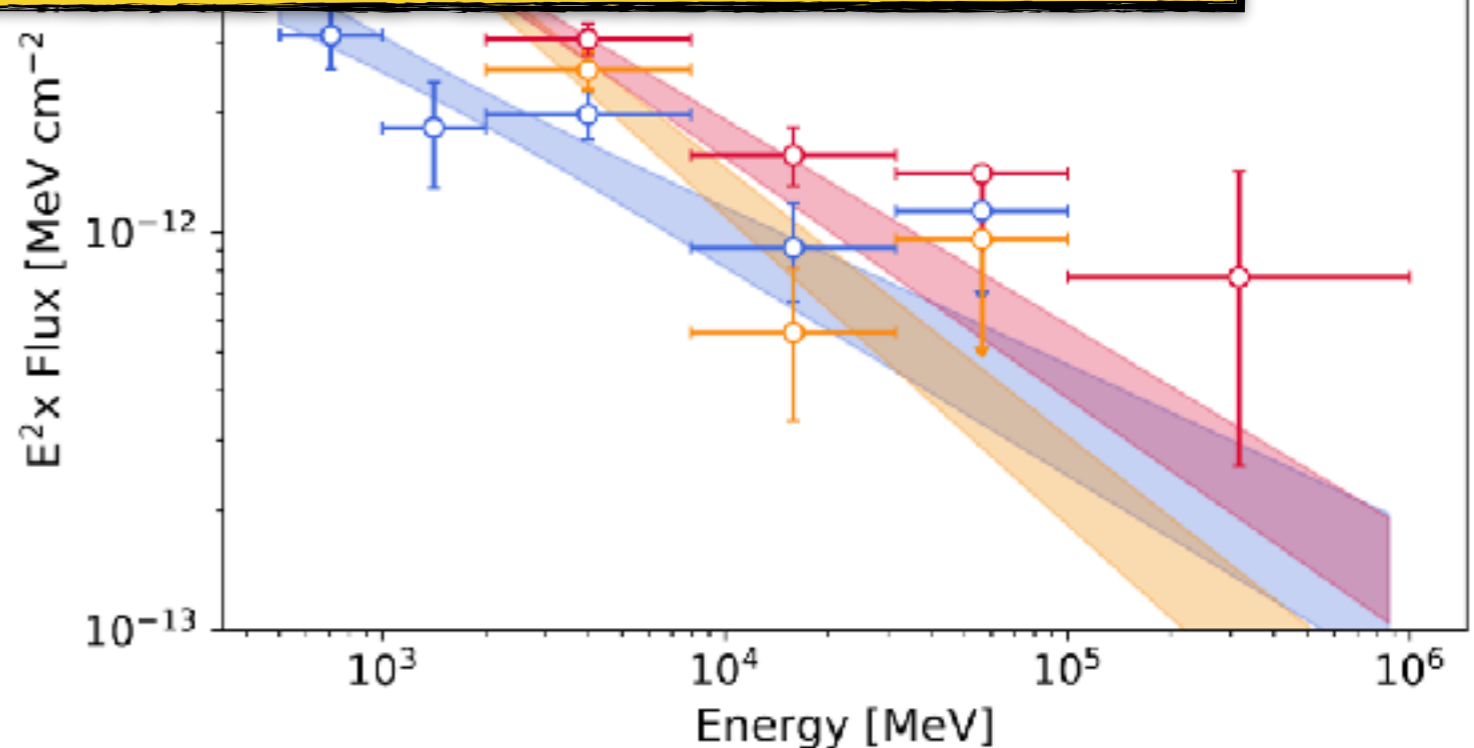


clusters younger than ~ 1 Myr → too young to explode SNaE!

strict lower bound on the CR acceleration efficiency (energy)

fraction of CRs coming from stellar winds

$$\eta_{CR} > 1\%$$



Conclusions

- The SNR paradigm for the origin of CRs suffers some major problems
 - Most notably, can they accelerate up to the knee (and beyond)?
- Galaxy cluster accretion shocks might accelerate up to the maximum energies observed
- Emerging (?) evidence → need for a third component
- Wind termination shocks? Galactic wind? Stellar cluster winds?
- Stellar matter is needed to explain CRs! Stellar wind would fix the problem with $^{22}\text{Ne}/^{20}\text{Ne}$ ratio.
- All cosmic rays from non-relativistic shocks?