# **Vortical QGP fluid near critical point**

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## **Structure of Matter**



# **Quantum chromodynamics (QCD)**

- Quantum chromodynamics is the theory of interactions between quarks mediated by gluons, somewhat similar to how electrons interact through photons.
- Gluons possess the "color" charge and interact among themselves making QCD rich and complex.
- For energy scales  $\gg 1$  GeV, perturbative methods can be used.
- For scales  $\sim 1$  GeV, the theory becomes non-perturbative. Lattice QCD is currently the only known way of solving QCD for such scales.
- Lattice QCD computations are limited to baryon chemical potential  $(\mu_B)$  close to 0 due to numerical sign problem.
- Mapping the QCD phase diagram is theoretically challenging.

## **Conjectured phase diagram of QCD**



# **QGP in laboratory**

- To create QGP in laboratory : heat up the matter to temperatures  $\sim 10^{12}$  K or compress it to densities  $\sim 10^{15}$  $\rm g/cm^3$  .
- Possible by smashing together heavy-ions like Gold (Au), Lead (Pb) at ultra relativistic energies.
- Two largest experimental facilities are Large Hadron Collider (LHC) with a circumference of about 27 km and Relativistic Heavy Ion Collider (RHIC) with a circumference of about 3.8 km.
- The maximum center-of-mass collision energy  $(\sqrt{s_{NN}})$  at RHIC is 200 GeV per nucleon pair. Remember mass of proton is about 1 GeV.

# **QGP in laboratory**

Locally equilibrated droplet of QGP expands and breaks down into a multitude of hadrons. The detectors collect information on number, energy and momentum distributions of final state hadrons.



$$
\sim 10^{-23}~\text{s}
$$

Image Source : MADAI collaboration, Hannah Petersen and Jonah Bernhard

## **Mapping the phase diagram through HICs**



## **Observables for Locating the QCD Critical Point**

- A critical point is characterized by diverging correlation length (*ξ* → ∞) indicating that fluctuations in the system occur on all length scales.
- Fluctuations of conserved quantities, such as baryon, electric charge and strangeness number must grow near critical point. Hence, measure fluctuations in net-proton  $(N_p - N_p)$ , net-charge  $(N_a - N_{\bar{a}})$ , and net-kaons  $(N_K - N_{\bar{K}})$ .
- Two strategies:
	- a) Energy scan, expect non-monotonic behavior : vary collision energy  $(\sqrt{s_{NN}})$ .
	- b) Rapidity scan, expect qualitative change : vary rapidity for the same  $\sqrt{s_{NN}}$ . Rapidity is defined as  $y = \frac{1}{2} \log \left( \frac{E + p_z}{E - p_z} \right)$ .

## **Dynamic critical phenomena**

- What is the behavior of non-equilibrium systems near a critical point ?
- A few examples of dynamic universality classes are
	- a) Model A: non-conserved order parameter
	- b) Model B: conserved order parameter
	- c) Model C: non-conserved order parameter coupled to conserved slow variable with no mode coupling
	- d) Model H: non-conserved order parameter coupled to conserved slow variable with mode coupling
- The dynamical universality class of the QCD critical point is Model H. (PRD 70 (2004) 056001)
- In model H:  $\zeta \sim \xi^{z-\alpha/\nu}$ ,  $\eta \sim \xi^{x_\eta}$ ,  $\tau \sim \xi^{z}$ . (z ≈ 3,  $x_n \approx 0.05$  for QCD)









# A new indicator for the critical point ? Rapidity profile of the slope of spin polarization

# **Spinning into Focus**

reaction plane  $^{\rm 8}$ 6 out of plane  $\bar{\bar{\mathcal{P}}}_\text{H}$  (%)  $\overline{4}$ in plane  $\Omega$ 10  $\sqrt{s_{NN}}$  (GeV)

arXiv:0910.4114 Nature 548, 62-65 (2017)

The spin polarization vector in the rest frame of a hyperon is

$$
\vec{S}^*(x, p) \propto \frac{\gamma}{T^2} \vec{v} \times \nabla T + \frac{1}{T} (\vec{\omega} - (\vec{\omega} \cdot \vec{v}) \vec{v}) + \frac{1}{T} \gamma \vec{A} \times \vec{v}
$$

F. Becattini and M. A. Lisa, Ann. Rev. Nucl. Part. Sci. 70 (2020) 395

#### **Hydrodynamic description of global spin polarization**



I. Karpenko and F. Becattini, Nuc. Phys. A 967 (2017) 764-767

#### **Effect of critical point on thermal vorticity**

**•** Thermal vorticity,  $\omega_{\mu\nu} = \frac{1}{2} [\partial_{\nu} (\beta u_{\mu}) - \partial_{\mu} (\beta u_{\nu})]$ , gets suppressed at late times when we are closer to the critical point.



SKS and J. Alam, EPJC (2023) 83:585

#### **Hydrodynamic trajectories in phase diagram**

Trajectories of fluid cells at  $x = y = 0$  and different space-time rapidities,  $\eta_s$ , for collision energies,  $\sqrt{s_{NN}} = 14.5$  and 62.4 GeV.



SKS and J. Alam, PRD 107, 074042 (2023)

# $\bf{Comparison}$  with experimental data at  $\sqrt{s_{NN}} = 200$  GeV



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#### **Prediction near critical point**

• A qualitative change in the behavior of rapidity profile observed near CP.



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• Other bulk observables like momentum spectra etc. are not much affected due to the CP.

# **Summary**

- We study the effect of QCD critical point on vorticity.
- We observe a suppression in thermal vorticity and hence, spin polarization of Λ-hyperons, as the CP is approached.
- We propose the qualitative change in the rapidity distribution of spin polarization as an indicator for the critical point.
- Questions needed to be investigated:
	- a) Effect of critical fluctuations on hydrodynamics.
	- b) Dependence on the location of critical point and on the size of critical region.
	- c) Sensitivity towards initial condition.
	- d) Effect of resonance decays.

# Thank You !!!