SEARCHING FOR ANTIDEUTERONS

STATUS OF THE DBAR ANALYSIS STARTING IN BOLOGNA

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To search for antideuterons in the AMS-02 data are needed:

TRD to identify particle produced in the interaction with the detector

TOF for the beta and charge reconstruction reconstruction

Inner Tracker (IT) for the rigidity and charge reconstruction

RICH NaF & RICH aerogel for the beta reconstruction

D'Angelo Francesco - AMS Italy (Trento) - 30/11/23

TRD

OF

3-4

5-6

IOF

RICH

cke

MASS SAMPLE DEFINITION

12 samples in mass in the TOF analysis range have been defined using:

- β -> betaH (TOF)
- Rigidity -> GBL (InnerTracker)
- Charge -> InnerTracker
- 0.3 < β < 0.8

POSITIVES TOF SAMPLES. Z=1 Low mass Z=+1: m < mp $(1 - 5\sigma_m)$ beta p+d: mp $(1 - 3\sigma_m) < m < md(1 + 3\sigma_m)$ Z = 1 0.8 High mass Z=+1: m > md (1 + $5\sigma_m$) Low mass Z=+2: m < m3he $(1 - 5\sigma_m)$ 0.7 He: m3he $(1 - 3\sigma_m) < m < m4he (1 + 3\sigma_m)$ Z = 2 High mass Z=+2: m > m4he $(1 + 5\sigma_m)$ 0.6 **NEGATIVES** 0.5 Low mass Z=-1: m < mp $(1 - 5\sigma_m)$ pbar+dbar: mp $(1 - 3\sigma_m) < m < md (1 + 3\sigma_m)$ Z=-1 0.4 High mass Z=-1: m > md (1 + $5\sigma_m$) Low mass Z=-2: m < m3he $(1 - 5\sigma_m)$ Z=-2 Hebar: m3he $(1 - 3\sigma_m) < m < m4he (1 + 3\sigma_m)$ High mass Z=-2: m > m4he $(1 + 5\sigma_m)$ -15

MASS SAMPLES have been used to discriminate between "bad (too high or too low mass)" and "good (correct mass)" events:

$$\frac{\sigma_m}{m} = \frac{\Delta R}{R} \oplus \frac{1}{(1-\beta^2)} \frac{\Delta \beta}{\beta}$$
Assuming: $\frac{\Delta R}{R} \cong 0.1$ for R < 100 GeV
 $\Delta \beta \cong 0.04$ at $\beta = 1$ and Z=1





To define a standard selection:

- some variable distributions (assumed independent) have been looked for the different mass samples, identifying the ones with a high discrimination power
- 2. Using the interested variable as a cut variable, the efficiencies and the rejections have been calculated as a function of the cut value
- 3. The cut value has been chosen as the value that maximize the rejection of a bad sample (composed by high mass negative events) times the efficiency of a good sample (protons for Z=1 and helium for Z=2)



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Repeating the procedure for many variables a standard selection has been defined:

TOF: Nhits TOF = 40. 75 < β < 0.8 $\chi^2_{Coo} < 4$ counts • 10⁸ $\frac{|Z_{utof} - Z_{ltof}|}{|Z_{utof} - Z_{ltof}|} < 0.2$ Z_{utof} 10 10⁶ Inner Tracker (L2 to L8): PATTERN Y L2 & (L3 || L4) & (L5 || L6) & (L7 || L8) 10⁵ ٠ • $\chi_Y^2 < 10$ անշին լիմի չոլու, 10⁴ • $\frac{\sigma_Z}{Z} < 0.1$ 10³ 10² Physics trigger ON ۲ 10 1 -10 -8 -2 2 8 -6 0 6 10 Δ sign(Z)*mass

BACKGROUNDS EVENTDISPLAY



RTI RIGIDITY CUTOFF

The RTI rigidity cutoff on the data has been applied:



TRD RECONSTRUCTION PROBLEM

(further details tomorrow in the NAIA meeting)



TRD RECONSTRUCTION PROBLEM



TRD RECONSTRUCTION PROBLEM



MONTECARLO SAMPLES

In the analysis the MonteCarlo is needed for two reasons:

- 1. calculate the acceptance of the detector, using a certain selection;
- 2. create the mass templates for protons, deuterons, antiprotons and antideuterons that can be used to fit the data.

For the protons the ntuples in the following path has been used: /storage/gpfs_ams/ams/groups/AMS-Italy/ntuples/v1.0.0/Pr.B1236/pr.pl1.05100.6_02 The ntuples have been scaled according to Physics Reports 894 (2021)

For the deuterons the ntuples in the following path has been used: /storage/gpfs_ams/ams/groups/AMS-Italy/ntuples/v1.0.0/D.B1236/d.pl1.05200/ The ntuples have been scaled according to proton flux Physics Reports 894 (2021) and the d/p ratio in the deuteron draft.

For the antiprotons the ntuples the proton ntuples has been used, recostructing the rigidity with the opposite sign. The ntuples have been scaled according to proton flux and $\frac{\bar{p}}{p}$ ratio both in the Physics Reports 894 (2021). 0. 75 < β < 0.8

counts



CONCLUSIONS

- A standard selection and the RTI cutoff on the data have been applied
- The TRD variables have been investigated to be added in the standard selection: a problem arose in the TRD reconstruction. These variables have not been included in the selection, waiting for the new NAIA production.
- The backgrounds survived to the selection have been investigated using the event display and we are trying to find a tight selection to suppress them.
- The MonteCarlo distributions of protons, deuterons and antiprotons (switched MC protons) have been used to try to reproduce the data, but there is a strong mismatch with respect them. Investigation is ongoing.

BACKUP

MONTECARLO DISTRIBUTIONS

We started to use the MonteCarlo for the protons, trying to quantify the negative particles produced by the interaction between the incoming protons and the detector, and the efficiencies of the selections applied.

The ntuples in the directory /storage/gpfs_ams/ams/groups/AMS-Italy/ntuples/v1.0.0/Pr.B1236/pr.pl1.05100.6_02 have been used.

The MonteCarlo has been weighted to be comparable with the counts obtained processing the data. The flux is defined as: $\Phi(R) = \frac{\#_{counts}(R)}{dt \, dS \, dO \, dR}$

so it's possible to find the number of the counts for every rigidity bin in this way:



MONTECARLO DISTRIBUTIONS (2)

We are using also the deuteron Montecarlo in the following path:

/storage/gpfs_ams/ams/groups/AMS-Italy/ntuples/v1.0.0/D.B1236/d.pl1.05200/.

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We calculated the flux as:

\Phi_{D}(R) = \Phi_{p}(R) \frac{D}{p}(R)
Ratio interpolated from the deuteron draft and kept fixed outside the boundaries

Flux taken from

Physics Reports 894 (2021)
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We are using the proton Montecarlo, switching the rigidity sign, in the following path:

/storage/gpfs_ams/ams/groups/AMS-Italy/ntuples/v1.0.0/Pr.B1236/pr.pl1.05100.6_02.

```
We calculated the flux as:

\Phi_{\bar{p}}(R) = \Phi_p(R) \frac{\bar{p}}{p}(R) Ratio interpolated from the Physics Reports 894 (2021) and kept fixed outside the boundaries
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We applied the RTI cutoff in the data (with the 1.2 safety factor) and we simulated it in the MonteCarlo