# **STRANGENESS HADRON PHYSICS**

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# Present and future perspectives in Hadron Physics

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Ever since the discovery of the first "strange" particles ( $K^-$ ,  $K^+$ ,  $\Lambda$ ,  $\Sigma's$ ,  $\Xi's$  ...) in the late 40s and mid 50s, it was soon realized that the phenomena associated to their interactions (with nucleons, with nuclei, with other hadrons) would have a big impact on several fields of research:



**Particle physics**: birth of SU(3) symmetry and the "eightfold way" scheme (Gell-Mann),  $\Lambda(1405), \dots$ 

Nuclear physics: A-hypernuclei, kaonic atoms, bound nucelar kaonic clusters ...

Astrophysics: hyperons in neutron stars (maximum mass puzzle, cooling, GW...)

# **Elementary YN interactions**

**YN Cross Sections** very limited data base!  $\tau_{\Lambda} \sim 2.631 \times 10^{-10}$  s (late 60s, 70s)

#### Traditional approach (Meson-exchange Models)



#### Nagels, Rijken, Yamamoto, PRC (2019)



Modern approach (Effective Field Theory  $\rightarrow \chi EFT$ ) (systematically organized hierarchy in powers of Q/ $\Lambda \chi$ )



(qm)

b

### differential x-sections for $\Sigma^- p$



#### Models revisited with the new data from J-PARC and CLAS



#### Haidenbauer, Meißner, Nogga, Le, EPJA (2023)

# **Femptoscopy:** promising new method to understand hadron-hadron interactions at low energy. **ALICE collaboration**, **Nature 588 (2020) 232**

Fabbietti, Mantovani-Sarti, Vazquez-Doce,, Annu. Rev. Nucl. Part. Sci. 71 (2021) 377

### ultrarelativistic p-p, p-<sup>208</sup>Pb, or <sup>208</sup>Pb-<sup>208</sup>Pb collisions at LHC@CERN



Femtoscopy studies are bringing information on low-energy YN, YY interactions! -> ALICE@LHC

#### ALICE, PRC (2019)

ALICE, PRL (2019)

#### ALICE, PLB (2020)



The first **combined analysis** of low-energy **femtoscopic** and **x-section scattering data** to constrain the *S*-wave scattering parameters of the pA interaction



 $\rightarrow$  The pA interaction is overall less attractive

## Testing (and constraining) YN interactions with hypernuclear data

 $\Lambda$ N interaction  $\rightarrow$  many-body corrections  $\rightarrow$  in-medium  $\Lambda$ N interaction  $\rightarrow$   $\Lambda$ -nucleus potential



YNN forces are needed to reproduce the  $\Lambda$  hypernuclear s- (and p-) levels in hypernuclei

See also: Friedman, Gal, PLB (2023), NPA (2023)

# Strangeness in Neutron stars (hyperon puzzle)

A neutron star is one of the densest manifestations of massive objects in the universe.

It is the compact remnant from the gravitational collapse of a massive star (8  $M_{\odot}$ < M < 25  $M_{\odot}$ ) in a Type II, Ib or Ic supernova event

Mass M ~ 1 – 2  $M_{\odot}$ 

Radius  $R \sim 10 - 12$  km

Central density  $\rho_c \sim 10^{14} - 10^{15} \text{ g cm}^{-3}$ (in a nucleus:  $\rho_c = 2.8 \times 10^{14} \text{ g cm}^{-3}$ )

Rotation period (two types):  $P \sim s$  $P \sim ms$ 

Magnetic field (intense!):

Type of Pulsar	Surface magnetic field
Millisecond	10 <sup>8</sup> – 10 <sup>9</sup> G
Normal	10 <sup>12</sup> G
Magnetar	10 <sup>14</sup> – 10 <sup>15</sup> G





Crab Nebula: remains of a supernova explosion (1054 AD). A rapidly rotating neutron star (pulsar) sits at its center

#### An **Equation of State** is needed to describe the properties of neutron stars



### Why is it likely to have hyperons in the inner core of a neutron star?

The core of a neutron star is a cold fluid (T~0) fluid of neutron-rich matter (neutrally charged) in equilibrium with respect to the weak interactions

 $\rightarrow$  known as  $\beta$ -stable nuclear matter



1800  $n \leftrightarrow p \; e^- \; ar{
u}_e \qquad \mu_n = \mu_p + \mu_e$ n, p, e-:  $\mu_n + \mu_e$ increasing density Chemical potentials [MeV] n, p, e-,  $\mu$ -:  $n \leftrightarrow p \mu^- \bar{\nu}_e$   $\mu_n = \mu_p + \mu_\mu \rightarrow \mu_\mu = \mu_e$  $\mu_n$ n, p, e-,  $\mu$ - + hyperons:  $\Lambda \leftrightarrow p \ e^- \ \bar{\nu}_e \qquad \mu_\Lambda = \mu_n$  $\mu_{\Sigma^{-}}$  $\Sigma^- \leftrightarrow n \ e^- \ \overline{\nu}_e \quad \mu_{\Sigma^-} = \mu_n + \mu_e$  $\mu_{\Lambda}$ 1000 0.2 0.4 0.6  $n_{R} [fm^{-3}]$ 

Hyperon onset depends on the YN interaction !

0.8

# How hyperons affect the M-R relation?



Burgio, Schulze, Vidana, Wei, Prog.Part.Nucl.Phys. 120 (2021) 103879

# Can the hyperon puzzle be solved?

#### Logoteta, Vidaña, Bombaci, EPJA (2019)



- The loss of pressure induced by hyperons can be compensated by a repulsive enough YNN force
  - This can be effectively mimicked by repulsive vector meson contributions in Relativistic Mean Field models.

Kochankovski, Ramos, Tolos, MNRAS (2024)



# Is there a clear signal of the presence of hyperons in NS?

The M-R relation for cold (T=0) NS cannot distinguish nucleonic from hyperonic models.



## Solution? $\rightarrow$ thermal effects !

FSU2\* RMF model =  $P(\rho_B, T) - P(\rho_B, T = 0)$  Kochankovski, Ramos, Tolos, MNRAS (2022)  $P_{\rm th}$  $\epsilon(\rho_B, T) - \epsilon(\rho_B, T = 0)$ =  $\epsilon_{
m th}$ 40  $\epsilon_{th}({
m MeV}/{
m fm}^3)$  $\Gamma(\rho_B,T) \equiv 1 + \frac{P_{\rm th}}{2}$  $\epsilon_{\rm th}$ 2 10  $\Gamma = 5/3$ 1.5 20  $\Gamma = 4/3$ = 10 N – -T = 10 YNT = 30 N - - T = 30 YN $P_{th}({
m MeV}/{
m fm}^3)$ T = 50 N - - T = 50 Y-T = 10 N⊢ 0.5 -T = 10 NYT = 20 N-T = 20 NY0 T = 30 N-T = 30 NY0 T = 50 N-0.5 -T = 50 NY-5 0.2 0.6 0.8 0.4 0 -1  $\rho_B (\mathrm{fm}^{-3})$ 0.2 0.4 0.6 0.8 0  $\rho_B(\mathrm{fm}^{-3})$ 

**Neutron star mergers** offer the ideal opportunity to look for the presence of hyperons.

Warning: merger simulations usually implement thermal effects with a constant  $\Gamma \sim 1.5 - 2$ 

## Thermal behavior as indicator for hyperons in NS mergers (I)

Blacker, Kochankovski, Bauswein, Ramos, Tolos PRD (2024)



## Thermal behavior as indicator for hyperons in NS mergers (II)

Blacker, Kochankovski, Bauswein, Ramos, Tolos PRD (2024)



Systematic shift toward higher frequencies in the hyperonic EoS models

Nucleonic models are scattered around the reference values.

If hyperons are present in very small quantities, the corresponding EoS behave like a nucleonic one

Hyperons produce a characteristic increase of the dominant postmerger GW frequency by up to ~150 Hz (in principle measurable if the EOS and stellar parameters of cold neutron stars are sufficiently well-determined)

# **KN and K-nucleus interactions**

# $\bar{\textbf{K}}\textbf{N}~\chi \textbf{EFT}$ models :



constrained to:



Precise measurement of ΔE and Γ of the kaonic hidrogen 1s state

ΔE=283 ± 36 eV Γ=541 ± 92 eV **SIDDHARTA@DAPHNE (2011)**  The  $\Lambda(1405)$  is **dynamically generated**: it emerges in the (unitarized) mesonbaryon scattering amplitude with the strangeness S = -1 and isospin I = 0 (in the same spirit as Daliz &Tuan, 1959)





two-pole structure

Confirmed by recent Lattice QCD simulations! Bulava et al. (BaSc), PRD and PRL (2024)

# $\bar{\textbf{K}}\textbf{N}~\chi \textbf{EFT}$ models :



constrained to:



Extension to higher energies (LO+NLO): Feijoo, Magas, Ramos, PRC 2019 Bruns, Cieplý, NPA 2022 and higher partial waves:

Feijoo, Gazda, Magas, Ramos, Symmetry 2021

I=1 K-n  $\rightarrow \pi^{-}\Lambda$  amplitude at threshold **Piscicchia (AMADEUS@DAFNE) (2019)**  $|A_{K^{-}n \rightarrow \Lambda \pi^{-}}| = (0.334 \pm 0.018 \text{ stat}^{+0.034}_{-0.058} \text{ syst}) \text{ fm}.$ 

K-p  $\rightarrow \pi^0 \Lambda$ ,  $\pi^0 \Sigma^0$  x-section Piscicchia (AMADEUS@DAFNE) (2022)

 $\sigma_{K^-p \to \Lambda \pi^0} = 31.0 \pm 0.5(stat.)^{+1.2}_{-1.2}(syst.) \text{ mb}$   $\sigma_{K^-p \to \Sigma^0 \pi^0} = 42.8 \pm 1.5(stat.)^{+2.4}_{-2.0}(syst.) \text{ mb}$ 



 $K-p \rightarrow K-p$  scattering amplitude (models)



 $K-n \rightarrow K-n$  scattering amplitude (models)



Lack of experimental K-n constraint !

Subthreshold region

(explored by Kaons in the nuclear medium)

## Kaonic deuterium



First measurement ever of the energy shift and width of the 1s level in kaonic deterium. (th) <sup>0</sup> *t* <sup>0</sup> (th) <sup>2.5</sup> **Congratulations!** 

Wioleta Rzesa,

HADRON2023

1.5

The **K**-**n** interaction will be pinned down from the measurement of the energy shift and width of the kaonic deuterium ground state (SIDDHARTA2@DAFNE)

Francesco Sgaramella, this workshop

(and planned at J-PARC)



## **Nuclear Kaonic clusters**

The **subthreshold energy** region can be tested in **Kaonic Nuclear Bound** states (difficult experiments)



Three-body Faddeev-type AGS calculations with **three** coupled particle channels  $\overline{K}NN - \pi\Sigma N - \pi\Lambda N$ 

Shevchenko, FBS (2024)

	$V^{1,\mathrm{SIDD}}_{ar{K}N}$		$V^{2,\mathrm{SIDD}}_{ar{K}N}$		$V_{ar{K}N}^{ m Chiral}$	
	$B_{K^-pp}$	$\Gamma_{K^-pp}$	$B_{K^-pp}$	$\Gamma_{K^-pp}$	$B_{K^-pp}$	$\Gamma_{K^-pp}$
$V^{\rm 2ch}_{{ m Prev}\Sigma{ m N},\pi{ m N}}$	52.2	67.1	46.6	51.2	29.4	46.4
$V^{\rm 3ch}_{{\rm New}\Sigma{\rm N},\pi{\rm N}}$	33.8	67.6	46.0	65.3	27.8	68.6

### Heavier Kaonic systems

(many-body effects need to be handled properly)

### Multinucleon antikaon absorption model in nuclear matter

Hrtánková (now Obertova), Ramos, PRC (2020)

# $\rightarrow$ Recently mproved with antikaon and pion self-energies



BCN		Pauli + YN	Pauli + YNK	Pauli + YNKpi	phen.	
		$K^-N + K^-NN$	$t ho + V_{K=NN}^{corr}$	$t ho + V_{K-NN}^{corr}$	$K^-N$ + phen. multiN	
-	$\Delta(\epsilon)$	0.81	0.02	0.36	1.76	
<sup>12</sup> C	Г	17.48	3.15	0.00	0.70	
	Γ*	3.98	3.08	3.46	2.74	
	$\Delta(\epsilon)$	1.84	0.15	0.01	0.03	
<sup>31</sup> P	Г	12.85	2.49	0.18	0.24	
	Г*	0.08	0.03	0.02	0.30	
	$\Delta(\epsilon)$	25.48	7.80	2.28	1.24	
<sup>32</sup> S	Г	74.33	23.85	7.05	9.24	
	Γ*	0.43	0.06	0.08	0.47	
	$\Delta(\epsilon)$	0.86	0.03	0.02	2.10	
<sup>35</sup> Cl	Г	12.35	1.28	0.14	0.00	
	Γ*	0.06	0.05	0.07	0.15	
	$\Delta(\epsilon)$	0.06	2.04	5.12	3.19	
<sup>63</sup> Cu	Г	7.73	2.71	0.98	2.25	
	Г*	2.79	1.86	1.81	1.52	
	$\Delta(\epsilon)$	5.59	1.44	0.74	2.15	
<sup>118</sup> Sn	Г	1.33	0.41	0.11	0.29	
	Γ*	2.97	3.55	3.81	4.09	
	$\Delta(\epsilon)$	3.36	0.04	0.87	0.34	
<sup>208</sup> Pb	Г	0.49	0.39	0.33	0.39	
	Γ*	0.46	0.54	0.57	0.52	
$\chi^{2}(21)$	total	175.34	54.98	28.00	33.71	
$\chi^2/d.p.$	total	8.35	2.62	1.33	1.61	
$\chi^{2}(18)$	S <sup>32</sup> out	75.10	23.27	18.60	22.76	
$\chi^2/d.p.$	S <sup>32</sup> out	4.17	1.29	1.03	1.26	

#### The chiral $\overline{K}N$ model with in-medium effects reproduces kaonic atom data very satisfactorily

**Strangeness Hadron Physics** covers a variety of phenomena in several fields of research,

- ranging from Particle physics (elementary interactions, dynamically generated strange resonances, like the Λ(1405) and many others)
- ✓ to strangeness in Nuclear systems (hypernuclei, kaonic atoms and kaonic nuclear clusters)
- ✓ and with important implications in Astrophysics (hyperon puzzle, influence of hyperons in the post-merger GW spectrum).

