

How Real Is a_{μ}^{had} Accuracy?

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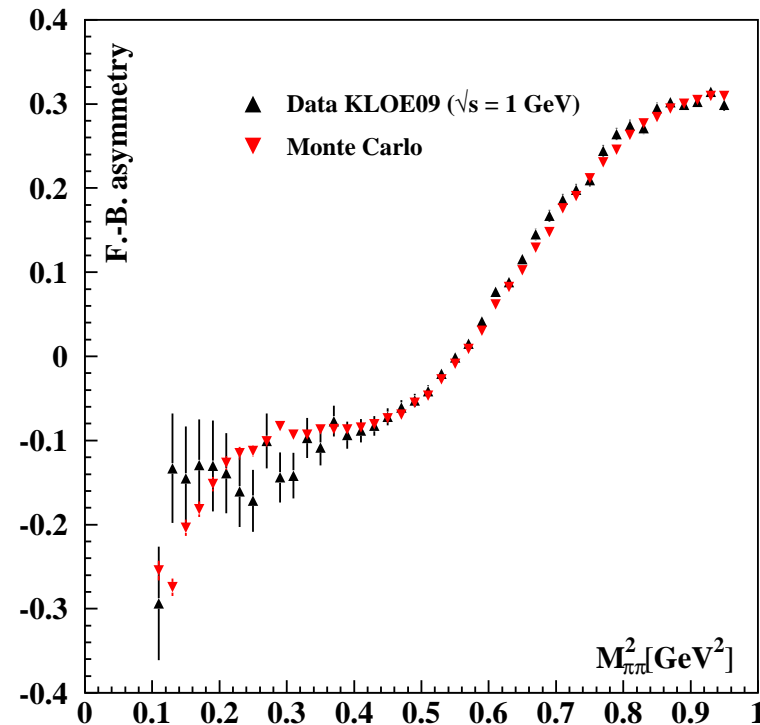
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Outline

1. Hard thoughts

What is worrying?

- Missing states: neutrals;
 $\pi^+\pi^-n\pi^0, K\bar{K}n\pi$ - isospin
- New states from BaBar, double counting
- Radiative corrections (FSR):
Charge asymmetry at KLOE
3k $e^+e^- \rightarrow \pi^+\pi^-\gamma$ evts at CMD-2
- Correlations
- Averaging
- Light-by-light term
- Double counting (LO and HO)



Charge asymmetry in $e^+e^- \rightarrow \pi^+\pi^-\gamma$
sQED is OK ($0.6 < M_{\pi\pi}^2 < 0.7 \text{ GeV}^2$)

More detail

- Missing states: there are no measurements of:
radiative decays of the $\rho'(\omega', \phi') \rightarrow \pi^0(\eta)\gamma$,
 7π final states or these with more pions,
final states with $n\pi$ + a hard photon,
final states with more than 2 π^0 's
- Isospin relations as such based on Clebsch-Gordon coefficients only
have limited applicability - dynamics with account of interference
(examples of $K\bar{K}\pi$ and $K\bar{K}2\pi$)
- New final states studied by BaBar bring new problems:
e.g., $2(\pi^+\pi^-\pi^0)$ can be $\omega\pi^+\pi^-\pi^0$ or $\eta\pi^+\pi^-\pi^0$ (something else?),
but η decays into $\pi^+\pi^-\pi^0$ in 22.7% only,
 $\eta \rightarrow 2\gamma$ (39.3%) results in $2\gamma\pi^+\pi^-\pi^0$,
 $\eta \rightarrow \pi^+\pi^-\gamma$ (4.6%) results in $\gamma\pi^+\pi^-\pi^+\pi^-\pi^0$,
 $\eta \rightarrow \pi^0\pi^0\pi^0$ (32.6%) results in $\pi^+\pi^-4\pi^0$ (see above)