

# CUORE analysis framework for 988 cryogenic calorimeters

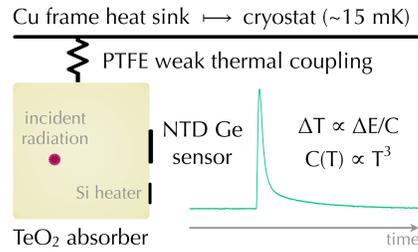
## Searching for neutrinoless double-beta decay of $^{130}\text{Te}$



Krystal Alfonso on behalf of the CUORE (Cryogenic Underground Observatory for Rare Events) Collaboration  
Virginia Polytechnic Institute and State University, Blacksburg, VA, USA

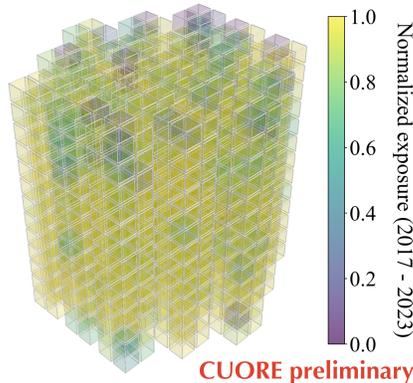
### CUORE cryogenic calorimeter

- 742 kg  $\text{TeO}_2$  (206 kg  $^{130}\text{Te}$ )
- $\delta E/E \sim 0.3\%$  at 2527.5 keV ( $Q_{\beta\beta}$ )
- $\text{BI} \sim 10^{-2}$  counts/(keV·kg·yr)
- non-uniformities in components necessitates individual calorimeter optimization and analysis

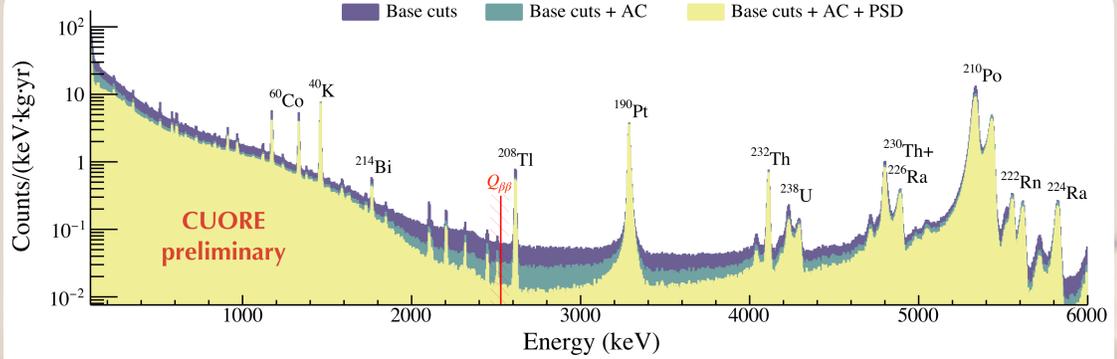


### 2 tonne·yr $\text{TeO}_2$ exposure

- 28 datasets (each dataset consists of ~1 week initial calibration, ~1.5 month-long physics measurement, and ~1 week final calibration)
- 914 analysis-active calorimeters per dataset on average
- > 90% duty cycle with an exposure rate of ~50 kg·yr  $\text{TeO}_2$  per month since 2019 (unprecedented 5 year stable detector operation to date)



### Energy spectrum and event selection



- event energy reconstruction is performed independently for each dataset-calorimeter (ds-ch)
- denoising  $\rightarrow$  OT triggering  $\rightarrow$  filtering (OF)  $\rightarrow$  thermal gain stabilization  $\rightarrow$  calibration continuous data stream event (OT triggered pulse)
- base cuts (BC) reject spurious pulses, the anticoincidence (AC) cut rejects multi-crystal events, and the pulse shape discrimination (PSD) cut rejects pulses with uncharacteristic features

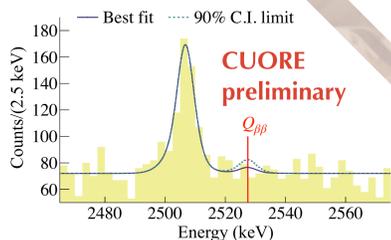
**Efficiencies** • BC: heater-induced pulses are used to evaluate the probabilities of accurate detection, energy reconstruction, and pile-up rejection • AC: events in the 1461 keV  $^{40}\text{K}$  peak are used to evaluate the probability of identifying a single crystal event • PSD: events in the  $\gamma$  peaks are used to evaluate the probability of keeping a physical event at different energies;  $\epsilon_{\text{PSD}}(Q_{\beta\beta})$  is extrapolated

### $\Gamma_{0\nu}$ from UEML fit

Perform fit in the BAT\* framework to sample the posterior probability distribution function (pdf):

$$p(\vec{\theta} | \vec{E}) \propto \mathcal{L}(\vec{E} | \vec{\theta}) \cdot \pi(\vec{\theta})$$

where  $\mathcal{L}$  is a model of the data in the ROI [2465, 2575] keV and  $\pi$  contains evaluated parameter prior pdfs



$$\mathcal{L} = \prod_{ds, ch} \frac{e^{-\lambda} \lambda^n}{n!} \prod_i \left[ \frac{s}{\lambda} f_{0\nu}(E_i | \vec{\theta}_{0\nu}) + \frac{c}{\lambda} f_{\text{Co}}(E_i | \vec{\theta}_{\text{Co}}) + \frac{b}{\lambda \Delta E} \right]$$

$$s = \frac{N_A \cdot I_{^{130}\text{Te}}}{M_{\text{TeO}_2}} \cdot \Gamma_{0\nu} \cdot \sum_{ds, ch} (m \cdot t) \cdot \epsilon_{\text{sel}} \cdot \epsilon_{\text{MC}}; \quad b = \text{BI} \cdot \Delta E \cdot \sum_{ch} (m \cdot t)$$

\*Bayesian Analysis Toolkit

### Detector response

- define a multi-Gaussian peak shape model ( $f_{\text{cal}}$ ) and fit the 2615 keV  $^{208}\text{Tl}$  peak in calibration data to determine calorimeter-dependent energy resolution and bias
- perform a simultaneous fit over each dataset-tower to constrain low-statistics structures in the spectrum

$$\delta E_{\text{FWHM}} = \sum_{ds, ch} (m \cdot t) / \sum_{ds, ch} \left( \frac{m \cdot t}{2.355 \cdot \sigma_{\text{cal}}} \right) = (7.540 \pm 0.024) \text{ keV}$$

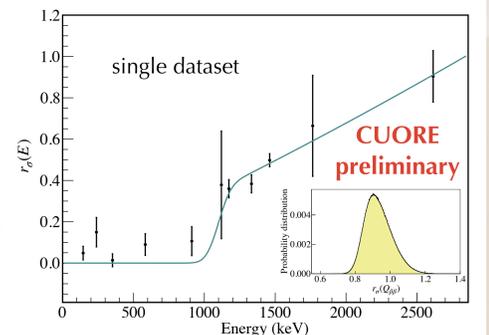
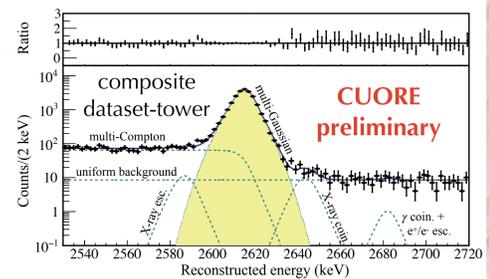
- define an energy-dependent scaling model for the resolution and bias to extrapolate their values to the ROI

$$\sigma_{\text{phys}}(E) = \sqrt{\delta_{\text{phys}}^2 + r_{\sigma}(E) \cdot (\sigma_{\text{cal}}^2 - \delta_{\text{cal}}^2)}, \quad \mu_{\text{phys}}(E) = r_{\mu}(E) \mu_{\text{cal}}$$

- fit the peak shape model to individual dataset-peaks over all calorimeters to determine  $r_{\sigma\mu}(\vec{E})$

- for each dataset, fit  $r_{\sigma\mu}(E)$  in BAT and use  $r_{\sigma\mu}(Q_{\beta\beta})$  posteriors as priors in the ROI fit

$$\delta E(Q_{\beta\beta}) = (7.320 \pm 0.024) \text{ keV}$$



Statistical approach and model

### Priors

Parameter ( $\theta$ )	Prior ( $\pi$ )/Dependence
$\Gamma_{0\nu}$	Uniform/Global
$E_{\text{sum}}(^{60}\text{Co})$	Uniform/Global
$\Gamma_{\text{Co}}$	Uniform/Dataset
BI	Uniform/Dataset
$^{130}\text{Te } Q_{\beta\beta}$	Gaussian/Global
Isotopic abundance	Gaussian/Global
Containment eff.	Gaussian/Global
Energy bias	Multivariate/Dataset
Energy resolution	Multivariate/Dataset
Total selection eff.	Multivariate/Dataset

**AC/PSD selection efficiencies:** fit the number of events above background in a dataset-peak region that pass and fail the cut in BAT, then sample their posteriors to evaluate  $\epsilon_{\text{AC/PSD}}$  pdfs for the  $\epsilon_{\text{sel}}$  prior

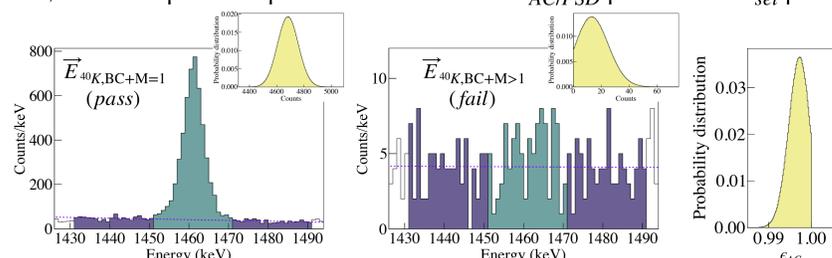
**Bayesian counting analysis:**

$$\mathcal{L}_{\text{eff}} = \prod_{i=L, R} \frac{e^{-\lambda_i} \lambda_i^{n_i}}{n_i!}; \quad \lambda_i = \int_{E_{i,1}}^{E_{i,2}} f(b) dE + S_i$$

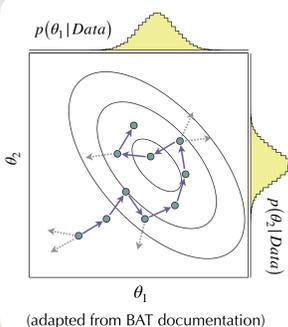
$$N_{\text{pass/fail}} = p(S_i | \vec{E}_{\text{pass/fail}}) \rightarrow \text{Random}()$$

$$\epsilon_{\text{dataset-peak}} = \frac{N_{\text{pass}}}{N_{\text{pass}} + N_{\text{fail}}}$$

**CUORE preliminary — single dataset  $\epsilon_{\text{AC}}$  example (right):**

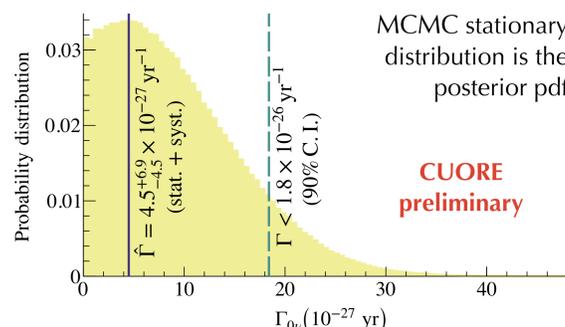


### Posterior via Markov Chain Monte Carlo (MCMC)



- MCMC determines a sequence of random model parameter coordinates using a limiting distribution proportional to the posterior pdf
- fundamentally, each coordinate in the sequence only depends on the previous one
- Metropolis-Hastings algorithm accepted coordinates (•):

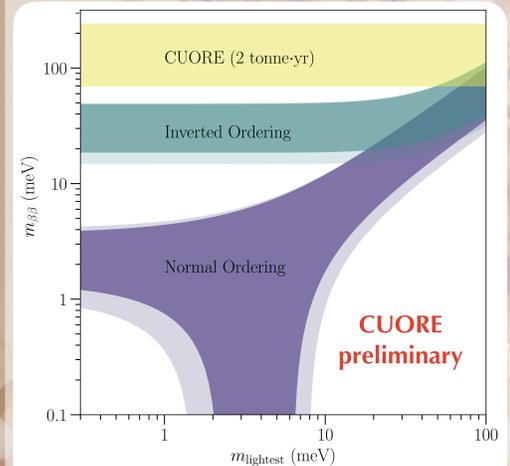
$$\frac{p(\vec{\theta}_{\text{next}} | \text{Data})}{p(\vec{\theta}_{\text{current}} | \text{Data})} > U[0,1]$$



MCMC stationary distribution is the posterior pdf

**CUORE preliminary**

### Result



$$T_{1/2} > 3.8 \times 10^{25} \text{ yr (90\% C.I.)}$$

$$m_{\beta\beta} < 70 - 240 \text{ meV}$$

CUORE will continue collecting data until reaching 3 tonne-yr  $\text{TeO}_2$  analyzed exposure, after which new cryogenic hardware will be installed to benefit our phase II low-energy investigations.