



# "Neutrinoless double beta decay in a left-right symmetric model with a double seesaw mechanism"

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## Introduction

We discuss a left-right (L-R) symmetric model with the double seesaw mechanism at the TeV scale generating Majorana masses for the active left-handed (LH) flavour neutrinos  $\nu_{\alpha L}$  and the heavy right-handed (RH) neutrinos  $N_{\beta R}$ ,  $\alpha, \beta = e, \mu, \tau$ , which in turn mediate lepton number violating processes, including neutrinoless double beta decay. Working with a specific version of the model in which the  $\nu_{\alpha L} - N_{\beta R}$  and the  $N_{\beta R} - S_{\gamma L}$  Dirac mass terms are diagonal, and assuming that  $m_{N_j} \sim (1 - 1000)$  GeV and  $\max(m_{S_k}) \sim (1 - 10)$  TeV,  $m_{N_j} \ll m_{S_k}$ , we study in detail the new “non-standard” contributions to the  $0\nu\beta\beta$  decay amplitude and half-life arising due to the exchange of virtual  $N_j$  and  $S_k$ .

## Model For LRSM Double Seesaw

### LRSM + Sterile Neutrinos $S_L$

#### 1. LR Symmetry

$$\mathcal{G}_{LR} \equiv SU(2)_L \times SU(2)_R \times U(1)_{B-L} \times SU(3)_C$$

#### 2. Fermion Sector

$$q_L = \begin{pmatrix} u_L \\ d_L \end{pmatrix}; \quad q_R = \begin{pmatrix} u_R \\ d_R \end{pmatrix}; \quad \ell_L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix}; \quad \ell_R = \begin{pmatrix} N_R \\ e_R \end{pmatrix}$$

$\overset{+}{S_L}$   
Singlet & per gen

#### 3. Scalar Sector

$$\Phi = \begin{pmatrix} \phi_1^0 & \phi_2^+ \\ \phi_1^- & \phi_2^0 \end{pmatrix}; \quad H_L = \begin{pmatrix} h_L^+ \\ h_L^0 \end{pmatrix}; \quad H_R = \begin{pmatrix} h_R^+ \\ h_R^0 \end{pmatrix}$$

Higgs bidoublet      Higgs doublet      Higgs doublet

## Double Seesaw (Neutrino Mass Generation)

- Interaction Lagrangian

$$-\mathcal{L}_{LRDSM} = \underbrace{\mathcal{L}_{M_D}}_{\text{Dirac mass term } (\nu_L - N_R)} + \underbrace{\mathcal{L}_{M_{RS}}}_{\text{Dirac mass term } (N_R - S_L)} + \underbrace{\mathcal{L}_{M_S}}_{\text{Majorana mass term}}$$

$$= -\sum_{\alpha, \beta} \bar{\nu}_{\alpha L} [M_D]_{\alpha\beta} N_{\beta R} - \sum_{\alpha, \beta} \bar{S}_{\alpha L} [M_{RS}]_{\alpha\beta} N_{\beta R} - \frac{1}{2} \sum_{\alpha, \beta} \bar{S}_{\alpha R}^c [M_S]_{\alpha\beta} S_{\beta L} + \text{h.c.}$$

- After SSB, the complete  $9 \times 9$  neutral fermion mass matrix in the flavor basis of  $(\nu_L, N_R^c, S_L)$ :

$$\mathcal{M}_{LRDSM} = \begin{bmatrix} \mathbf{0} & M_D & \mathbf{0} \\ M_D^T & \mathbf{0} & M_{RS} \\ \mathbf{0} & M_{RS}^T & M_S \end{bmatrix}$$

- Block diagonalization with the assumption  $|M_D| \ll |M_{RS}| < |M_S|$ , gives [1, 2]

### DSS RESULTS

$$\begin{aligned} m_\nu &\cong -M_D (-M_{RS} M_S^{-1} M_{RS}^T)^{-1} M_D^T \\ &= \frac{M_D}{M_{RS}^T} M_S \frac{M_D^T}{M_{RS}}, \\ m_N &\equiv M_R \cong -M_{RS} M_S^{-1} M_{RS}^T, \\ m_S &\cong M_S. \end{aligned}$$

## KEY REFERENCES

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## Masses and Mixing

- Special choice,  $M_D M_{RS}^{-1} = \frac{k_d}{k_{rs}} I$ .[3, 4]
- Mass matrices relations,  $m_\nu, m_N$  and  $m_S$   
 $\rightarrow m_\nu = \frac{k_d^2}{k_{rs}^2} m_S$  and  $m_N = -k_d^2 \frac{1}{m_\nu}$ .
- Physical masses  $m_i$  are related to the mass matrix  $m_\nu$  in the flavor basis as  $m_\nu = U_{PMNS} m_\nu^{\text{diag}} U_{PMNS}^T$ .
- $U_N = i U_\nu^* \equiv i U_{PMNS}^*$ .
- $U_S = U_\nu \equiv U_{PMNS}$ .

$$m_i = \frac{k_d^2}{m_{N_j}} = \frac{k_d^2}{k_{rs}^2} m_{S_k}, \quad i, j, k = 1, 2, 3. \quad (1)$$

## $0\nu\beta\beta$ in LRSM Double Seesaw

- If light Majorana neutrinos are the only contribution to the  $0\nu\beta\beta$  transition, then we can express the half-life as,

$$\frac{1}{T_{1/2}^{0\nu}} = \left[ T_{1/2}^{0\nu} \right]^{-1} = g_A^4 G_{01}^{0\nu} |\mathcal{M}_\nu^{0\nu}|^2 |\eta_\nu|^2 = G_{01}^{0\nu} \left| \frac{\mathcal{M}_\nu^{0\nu}}{m_e} \right|^2 |m_{\beta\beta}|^2$$

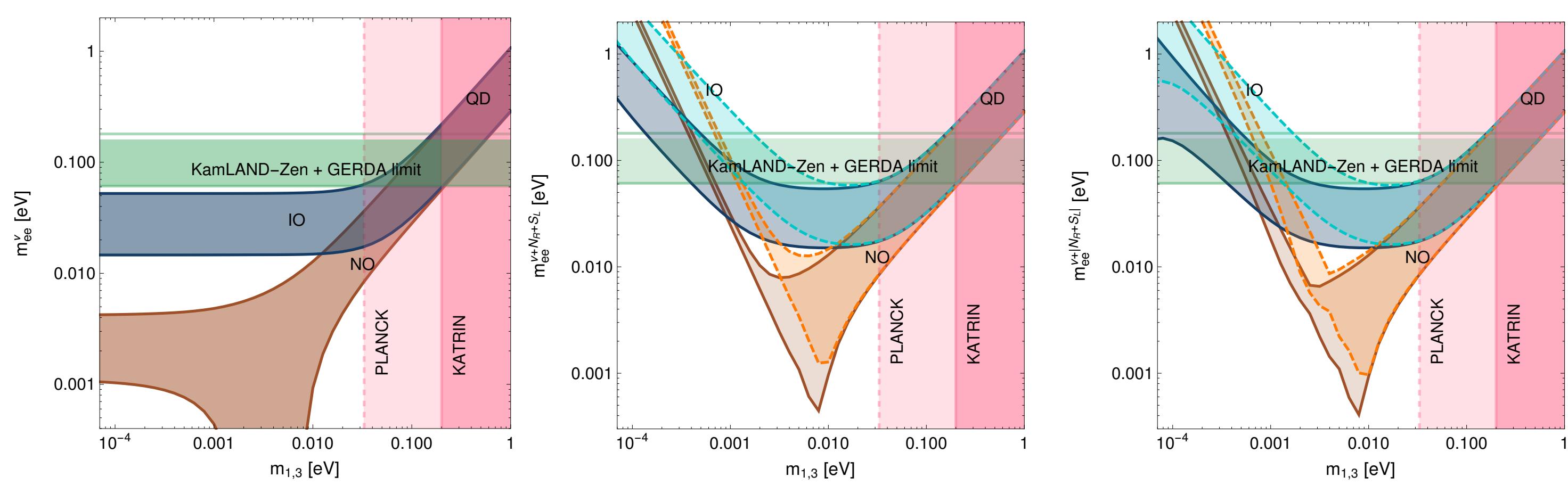
- $m_{\beta\beta} \equiv m_{ee}^\nu \equiv m_e \eta_\nu = \left| \sum_{i=1}^3 U_{ei}^2 m_i \right|$

The lepton Lagrangian that is relevant for the dominant contributions to  $0\nu\beta\beta$  decay rate is:

$$\begin{aligned} \mathcal{L}_{CC}^{\ell, \text{mass}} = & \frac{g_L}{\sqrt{2}} \left[ \bar{e}_L \gamma_\mu \{ V_{ei}^{\nu\nu} \nu_i \} W_L^\mu \right] + \text{h.c.} \\ & + \frac{g_R}{\sqrt{2}} \left[ \bar{e}_R \gamma_\mu \{ V_{ej}^{NN} N_j + V_{ek}^{NS} S_k \} W_R^\mu \right] + \text{h.c.} \end{aligned} \quad (2)$$

$$|m_{\beta\beta, L, R}^{\text{eff}}| \equiv m_{ee}^{\nu+|N+S|} = \left( |m_{\beta\beta, L}^\nu|^2 + |m_{\beta\beta, R}^N + m_{\beta\beta, R}^S|^2 \right)^{\frac{1}{2}} \quad (3)$$

- Left-panel: Standard Mechanism**
- Middle-panel: New physics without interference**
- Right-panel: New physics with interference**



Plots showing effective Majorana mass parameter as a function of lightest neutrino mass,  $m_1$  (NO),  $m_3$  (IO).

- We find, in general, that in both NO and IO cases the new non-standard contributions due to  $N_j$  and  $S_k$  exchange are dominant over the standard light neutrino exchange contribution at values of the lightest neutrino mass  $m_{1(3)} \sim (10^{-4} - 10^{-2})$  eV.
- The effective Majorana mass  $|m_{\beta\beta, R}^S|$  associated with  $S_k$  exchange contribution was shown to be practically independent of the Majorana phases  $\alpha$  and  $\beta$ , while that due to exchange of  $N_j$ ,  $|m_{\beta\beta, R}^N|$ , exhibits strong dependence on  $\alpha$  and  $\beta$  similar to  $|m_{ee}^\nu|$ .

## MORE INFORMATION



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