



GSI2021 Analysis Updates

Giacomo Ubaldi

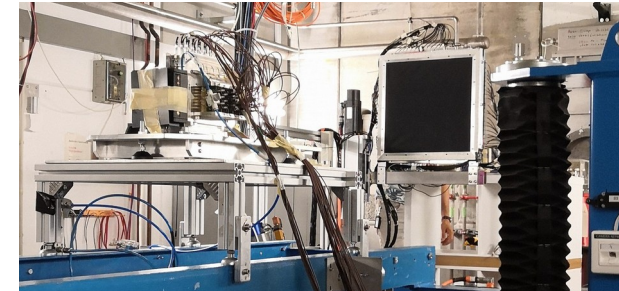
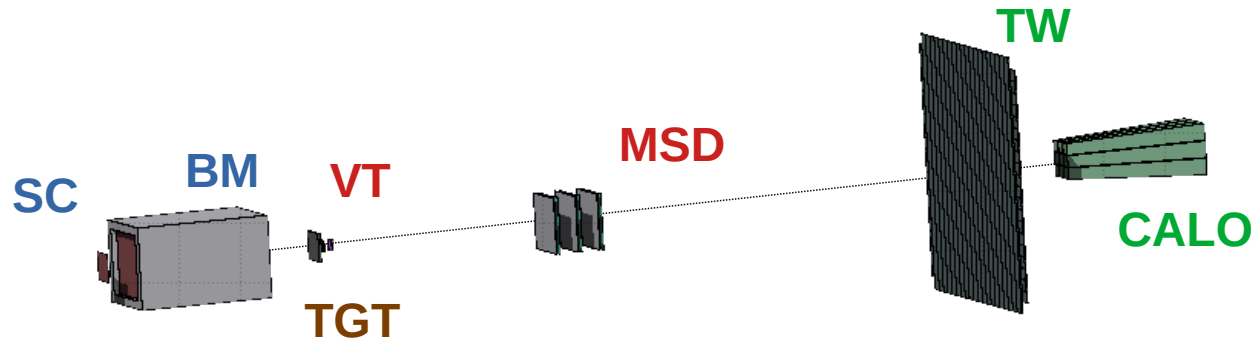
XV FOOT Collaboration Meeting

Trento

12/12/2023

GSI 2021 Analysis

- Data-taking at GSI (Darmstadt, Germany) in 2021
- ^{16}O 400 MeV/u on 5 mm C target
- Partial setup: no magnet, only one module of calorimeter



- VT, MSD, TW considered
- Analysis based on **Global tracking**
- **MC considerations**

Analysis strategy

In the analysis, I am considering the following levels:



N_Reference (MC)

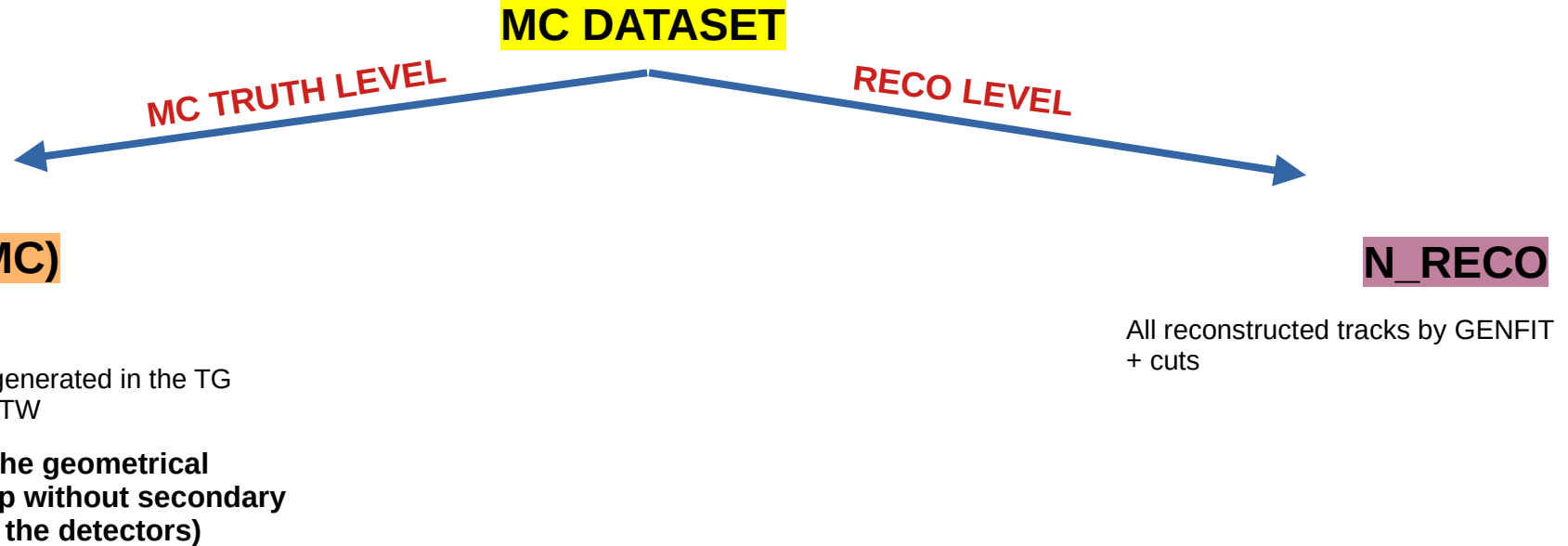
all TAMCParticles

- primary beams
- primary fragments generated in the TG
- which cross the end of TW

(all the particle inside the geometrical acceptance of the setup without secondary fragmentation beneath the detectors)

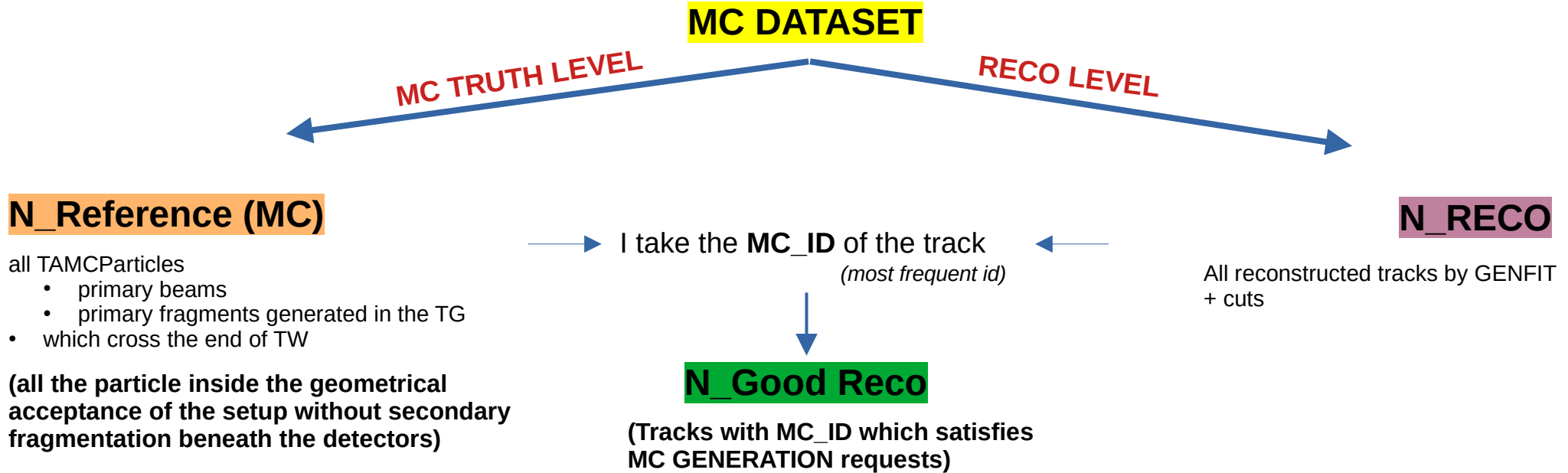
Analysis strategy

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Analysis strategy

To compute angular differential cross section:

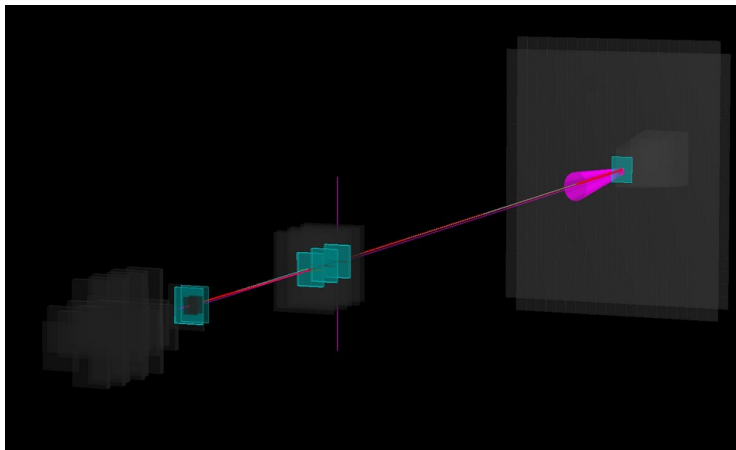
$$\frac{d\sigma}{d\theta}(Z, \theta) = \frac{Y(Z, \theta)}{N_{beam} N_{target} \Omega_{\theta} \epsilon(Z, \theta)}$$

where:

Y :	fragment counts	N_RECO	
N_{beam} :	n° of primary events		
N_{target} :	n° of scattering centers per unit area		
ϵ :	efficiency	N_Good Reco	N_Reference (MC)
Ω_{θ} :	angular phase space		

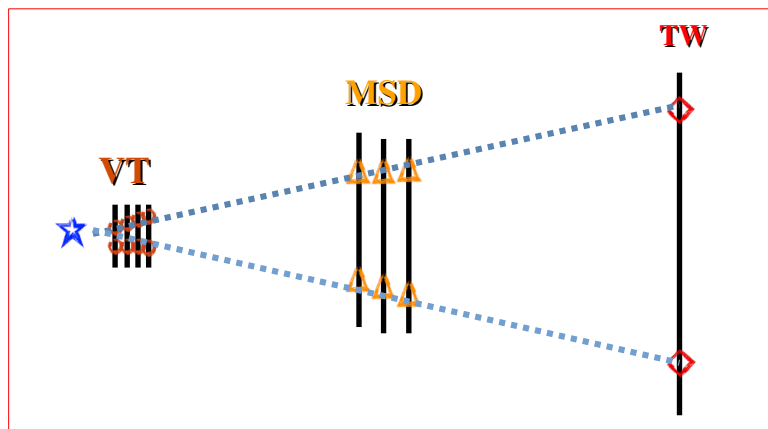
Global Tracking strategy

N_RECO



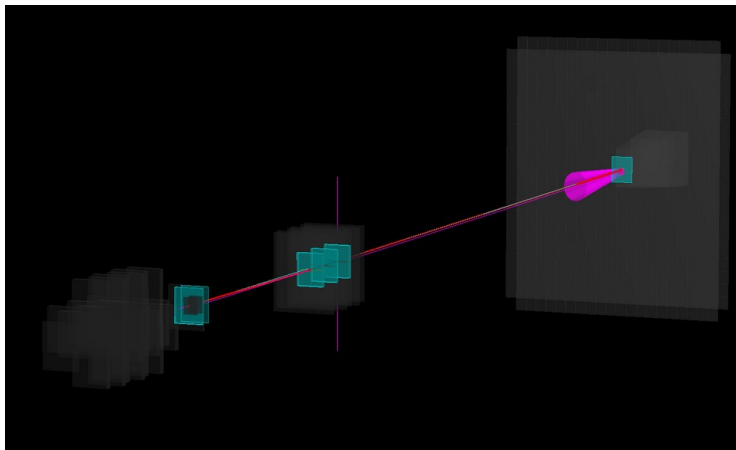
- Tracks generated using a Kalman Filter-based algorithm (GENFIT).
- Use info from trackers (VT, MSD) and TW via clusters
 - at least **7 clusters required**
 - Start from VT tracklets
 - **Good vertex point required**
 - **BM-VT match required**
 - **only 1 track in BM required**
 - Projection and extrapolation to further detector
 - Z obtained from TW
 - **TW point required**
 - Fit of the track candidate

thanks to Roberto Z.



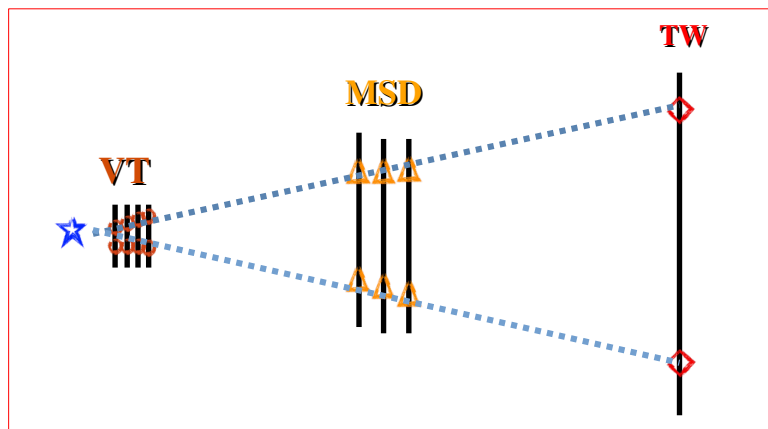
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Tracks are not too optimized in order to be refined in analysis. Then, the first attempt was a tuning:

N_RECO +

QUALITY CUT

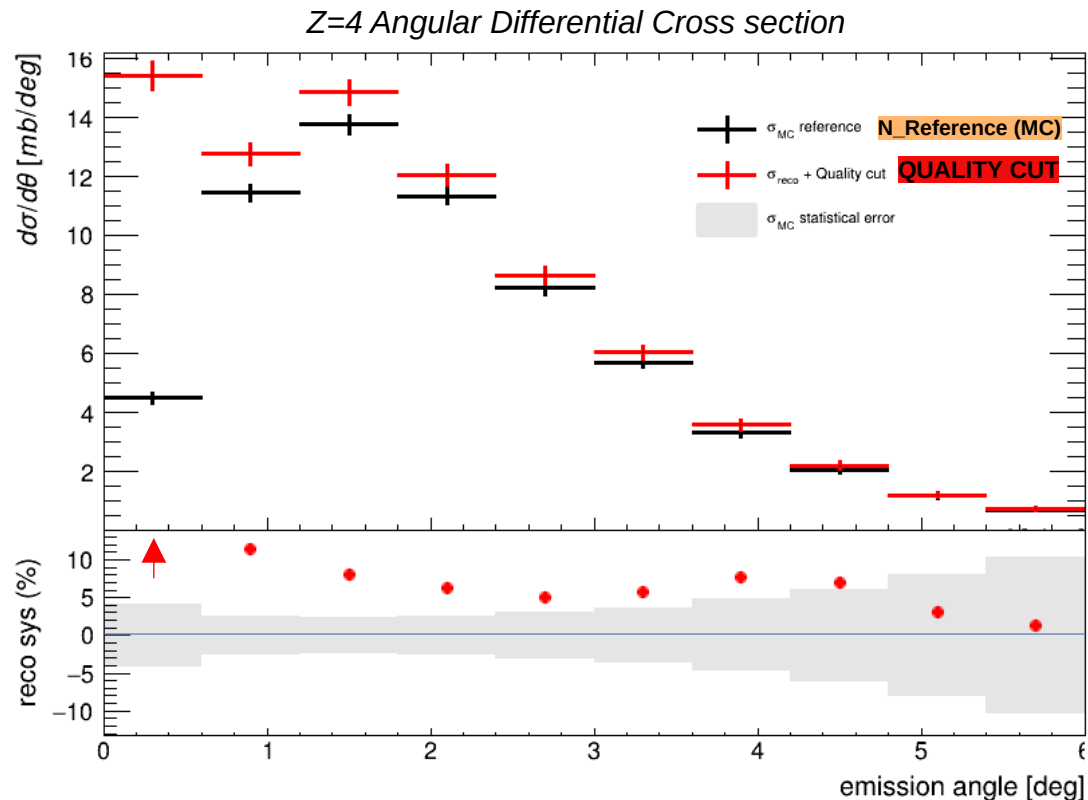
- $\chi^2 / \text{ndof} < 2$
- **worst residual < 0.01 cm**

see Yun et al. talk 04/10/23

<https://agenda.infn.it/event/37822/>

Quality cut – cross section

- I will start my considerations showing the plot of **Beryllium (Z=4) differential cross section** (all the other plots will be reported at the end of the presentation)



- Cross sections computed using the formula:

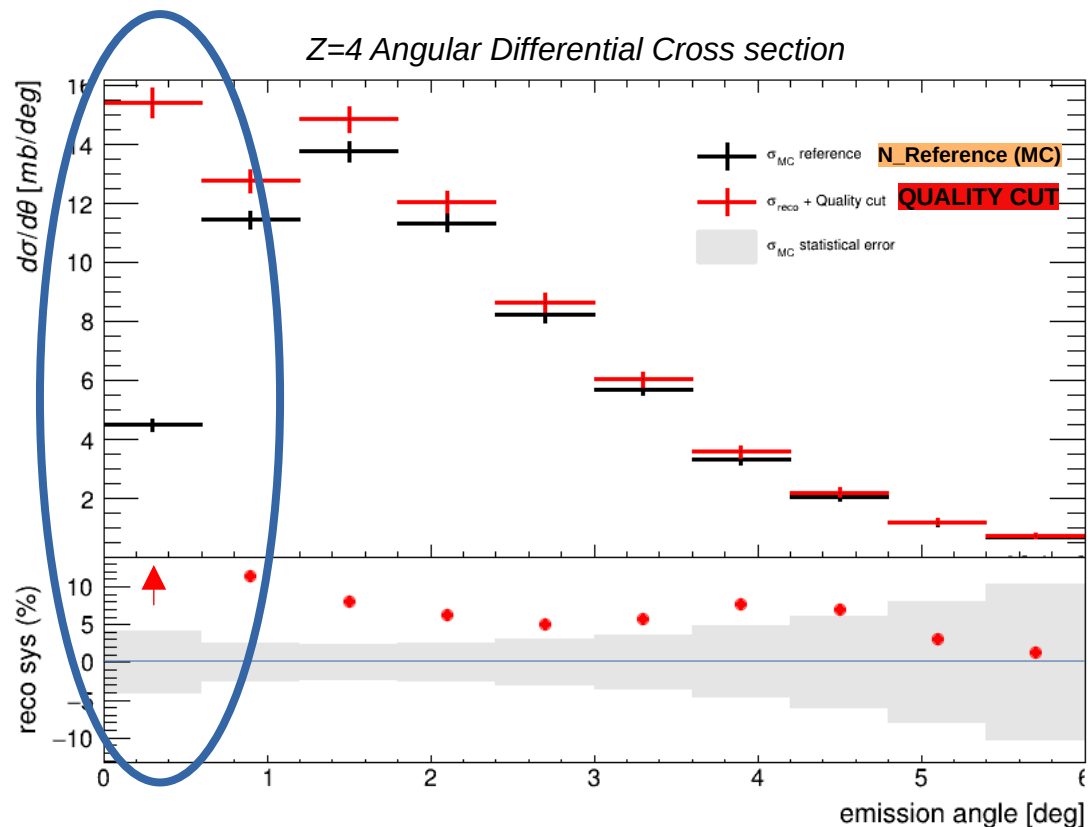
$$\frac{d\sigma}{d\theta}(Z, \theta) = \frac{Y(Z, \theta)}{N_{beam} N_{target} \Omega_{\theta} \epsilon(Z, \theta)}$$

- Systematical impact studied with the **reco ratio**:

$$reco\ sys = \frac{\sigma_{reco} - \sigma_{MC}}{\sigma_{MC}}$$

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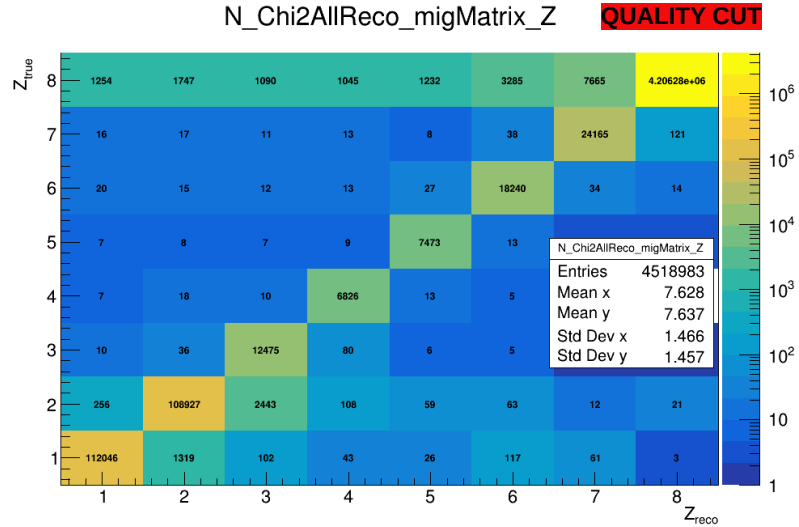
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- Systematical impact studied with the **reco ratio**:

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- There is a systematical overestimation of the cross section values
- Worst reconstruction at lower angle**
→ **out of target fragmentation**

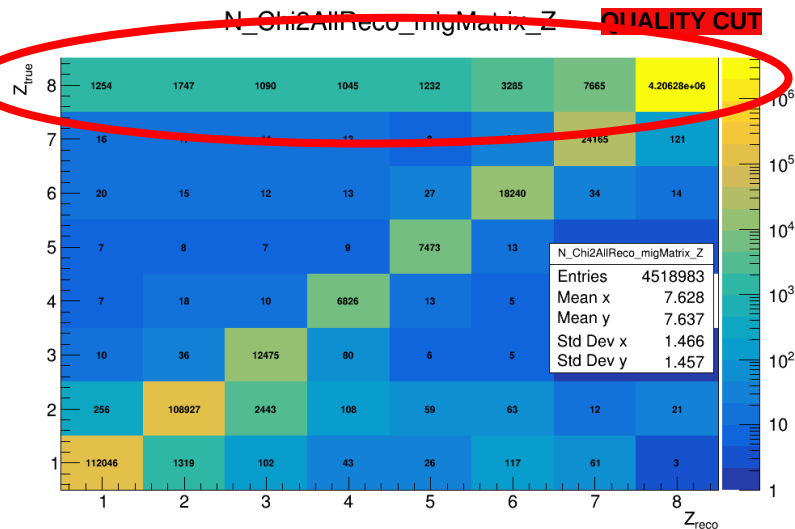
out of target fragmentation



Let's consider the CMM, where:

- Z_{reco} is the charge reconstructed by the TW for every track
- Z_{true} is the MC charge of the most frequent particle in the track

out of target fragmentation



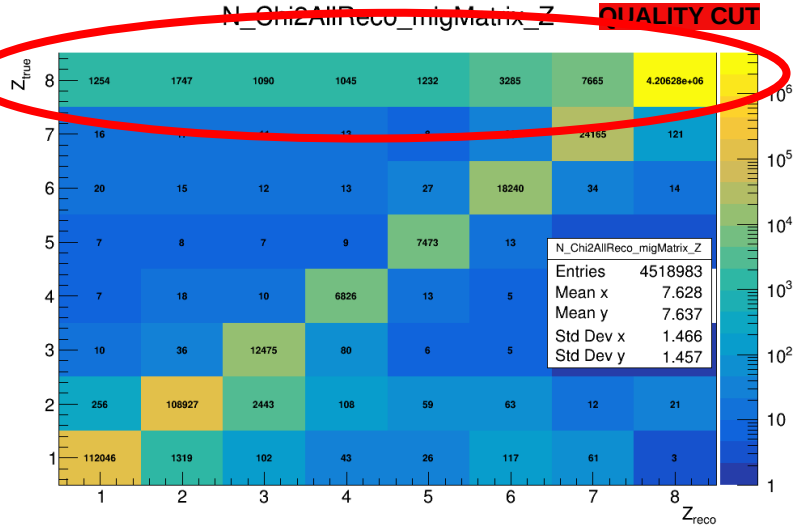
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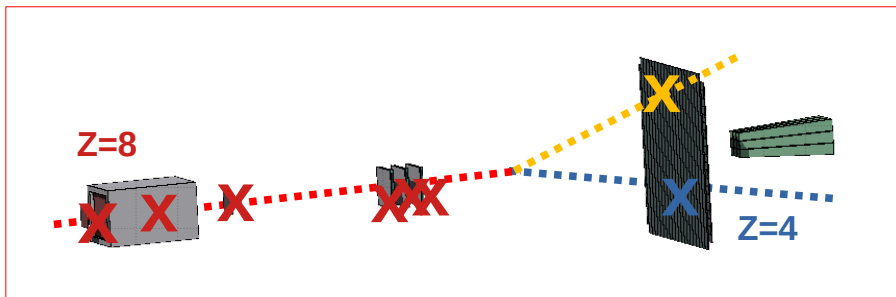
Let's consider $Z_{\text{true}} = 8$:

- If the beam has a fragmentation out of the target:
 Z_{true} remains 8 because the most frequent particle in the track
 Z_{reco} would be the one of the fragment crossing the TW
→ this explains the $Z_{\text{true}} = 8$ row

out of target fragmentation



According to how global tracking works, out of target fragmentation follows this pattern:



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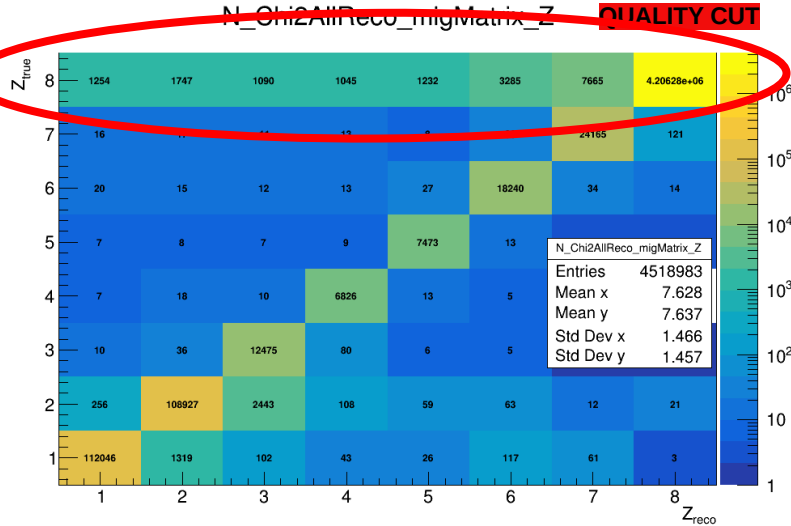
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- Since there was only a track in the vertex, the global tracking will reconstruct 1 track at most
- using the closer TW point

out of target fragmentation



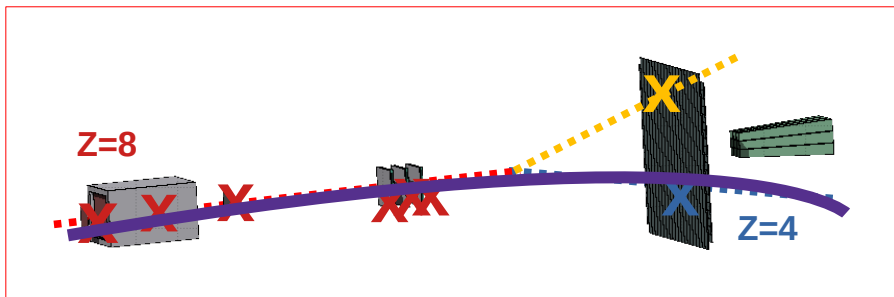
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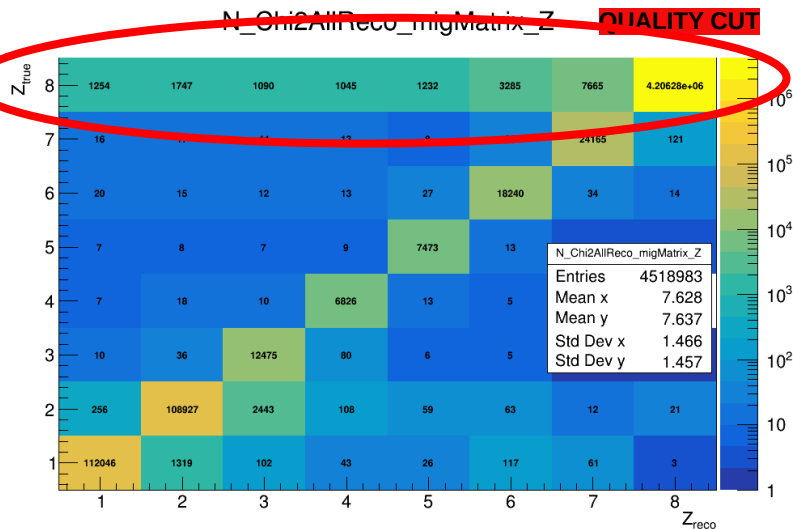
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only 1 glb track:

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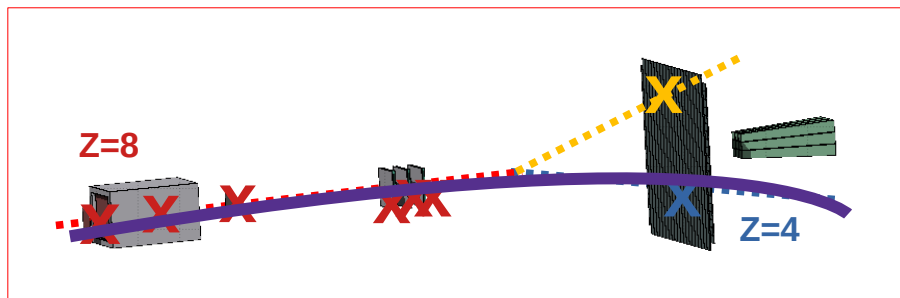
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only 1 glb track:

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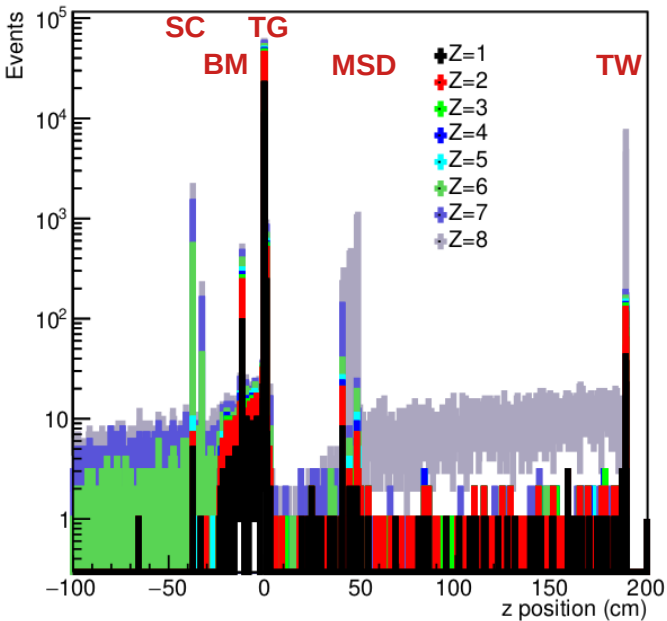
- Let's apply a cut for all the events with only one reco track:

MULTITRACK CUT

$n_{\text{global tracks}} > 1$

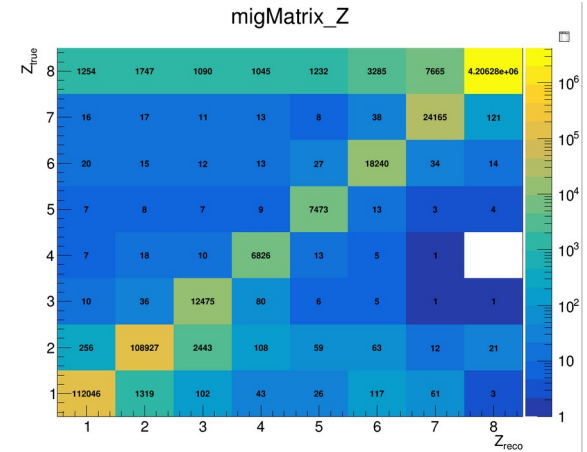
Multitrack cut – observations

Reco tracks + Chi2 cuts



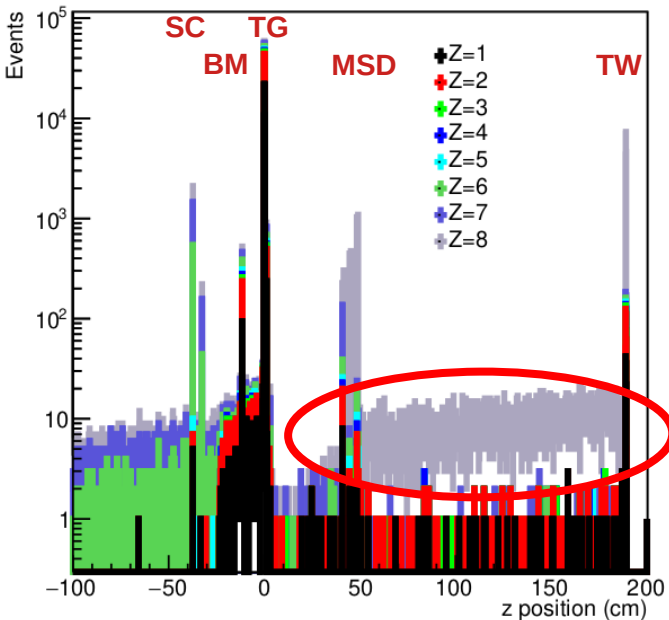
Origin of the fragment crossing the TW for a specific track signed with Z_{true}

- As said, the highest amount of fragmentation is given by the primary, before and after TG



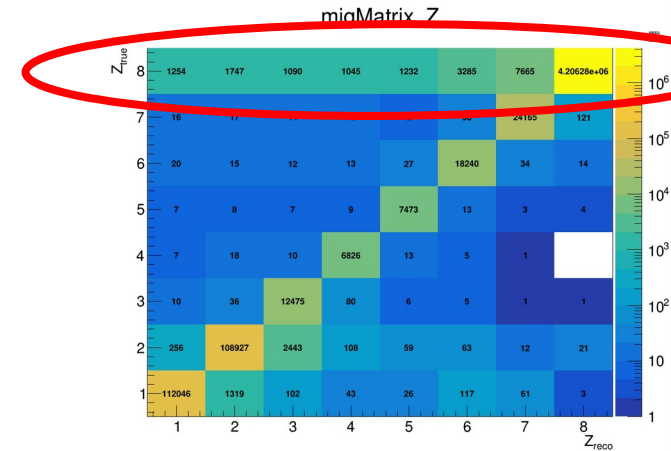
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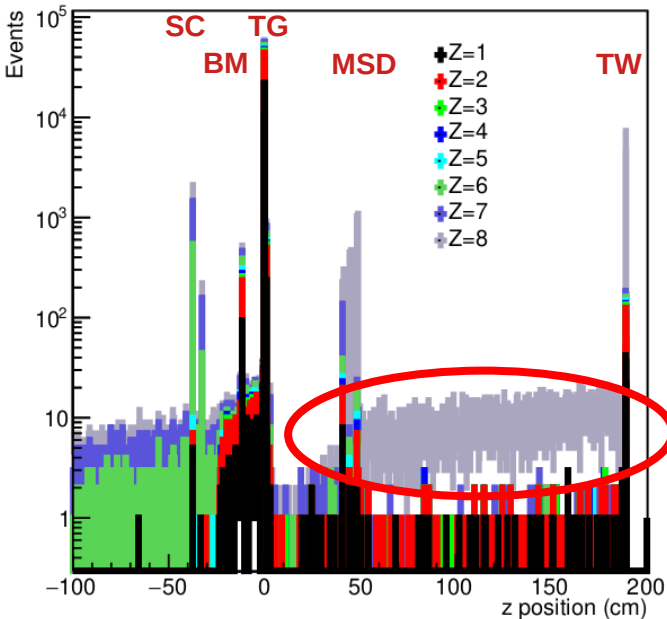
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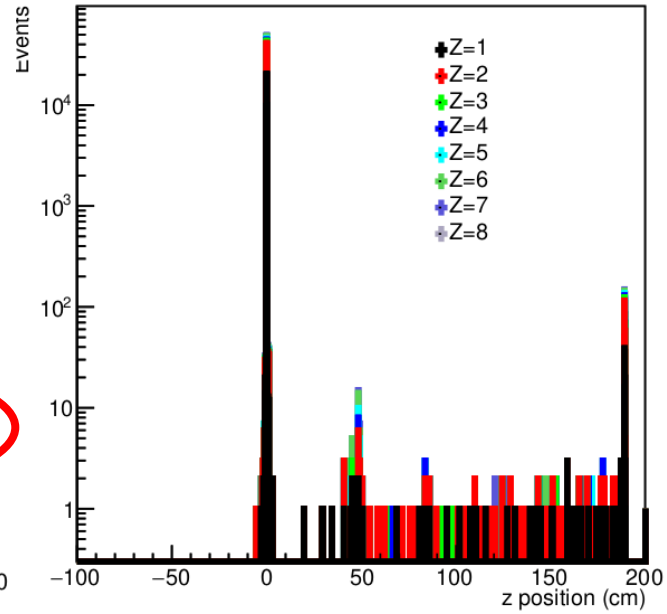


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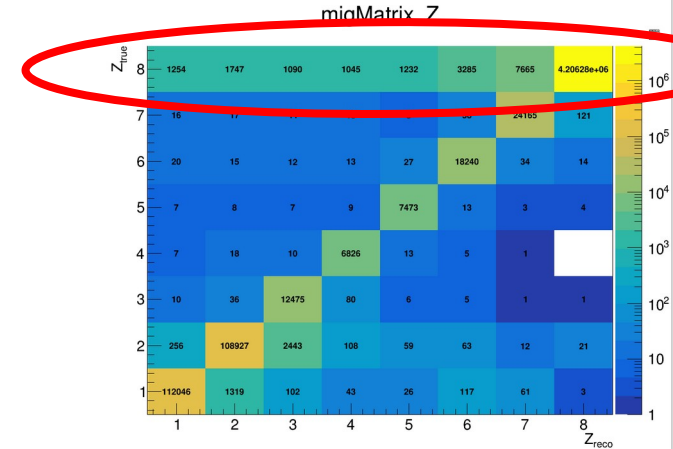
Reco tracks + Chi2 cuts + n>1



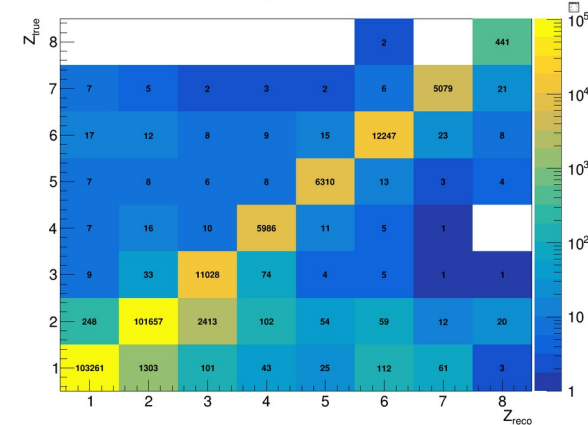
Origin of the fragment crossing the TW for a specific track signed with Z_{true}

- As said, the highest amount of fragmentation is given by the primary, before and after TG
- Applying the cut, the $Z_{true} = 8$ row has been removed from CMM (and not only)

migMatrix_Z

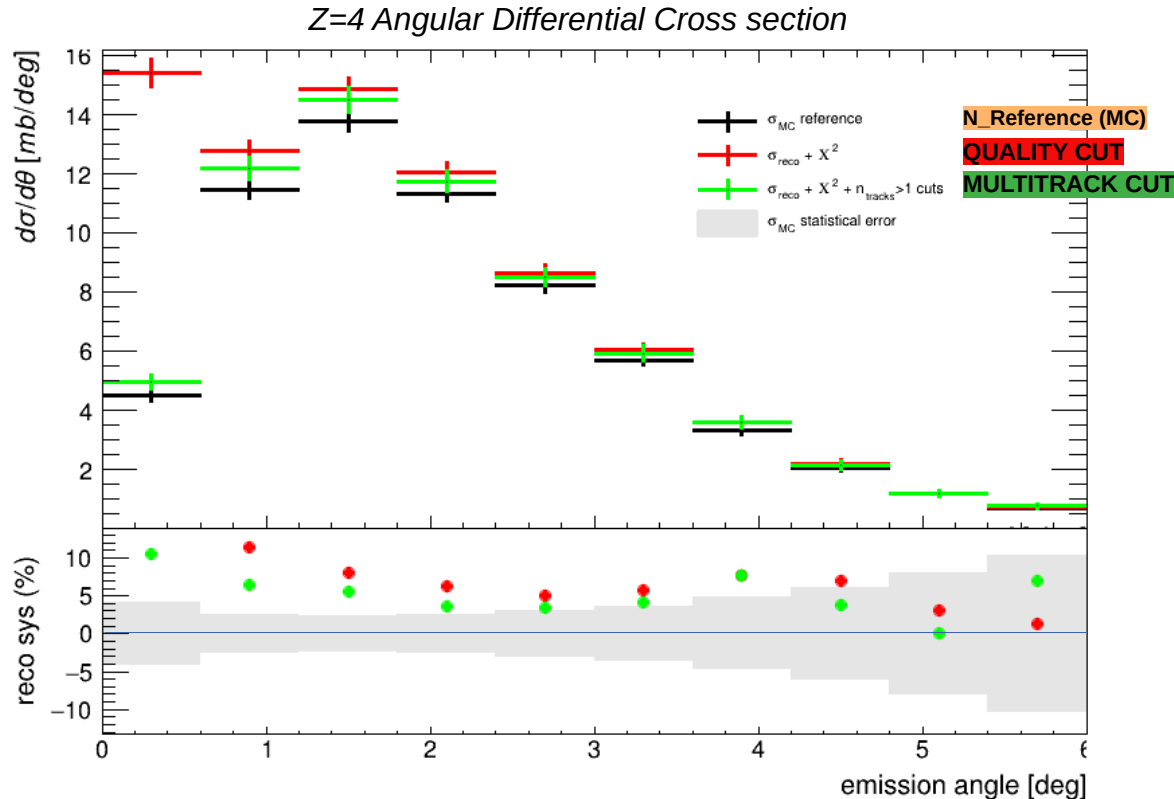


migMatrix_Z



Multitrack cut – cross section

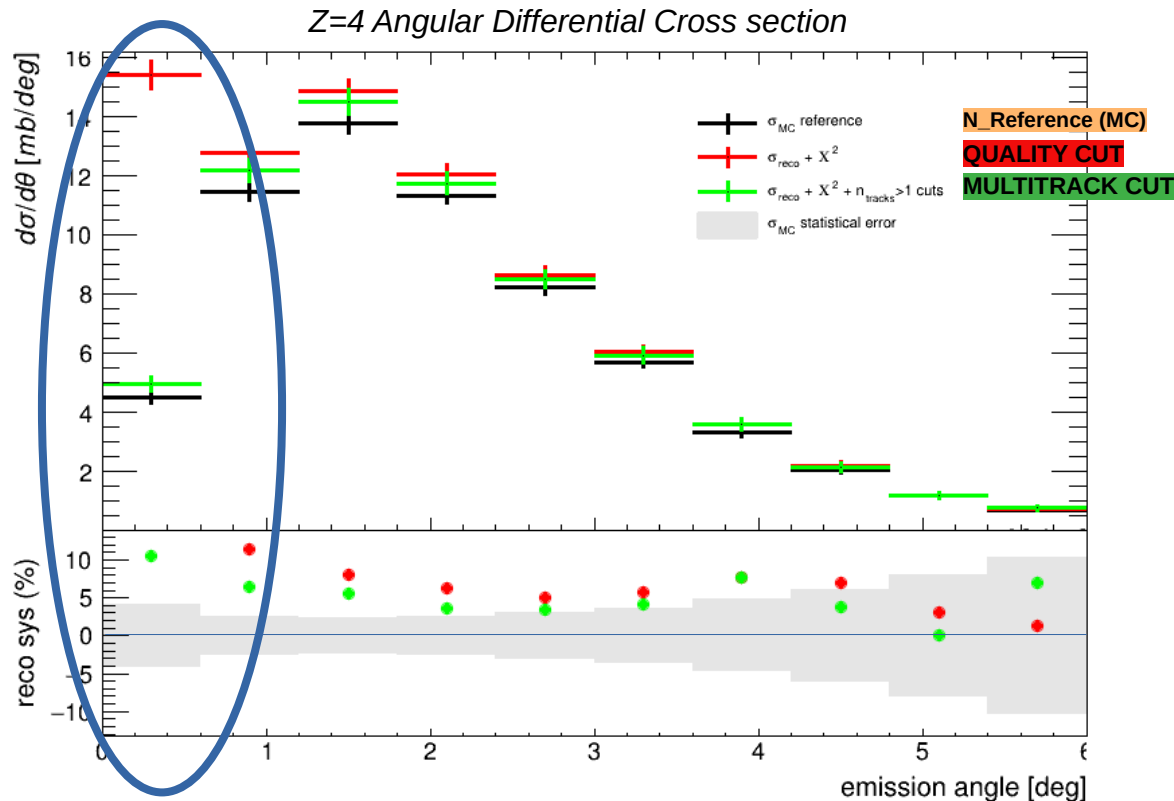
- Let's see the plot of **Boron (Z=4) differential cross section** with the new cuts



- Tempting improvement in particular at low angle (for all the elements)
- With the new cuts the cross section is systematically closed to reference one but still higher than ~ 5%

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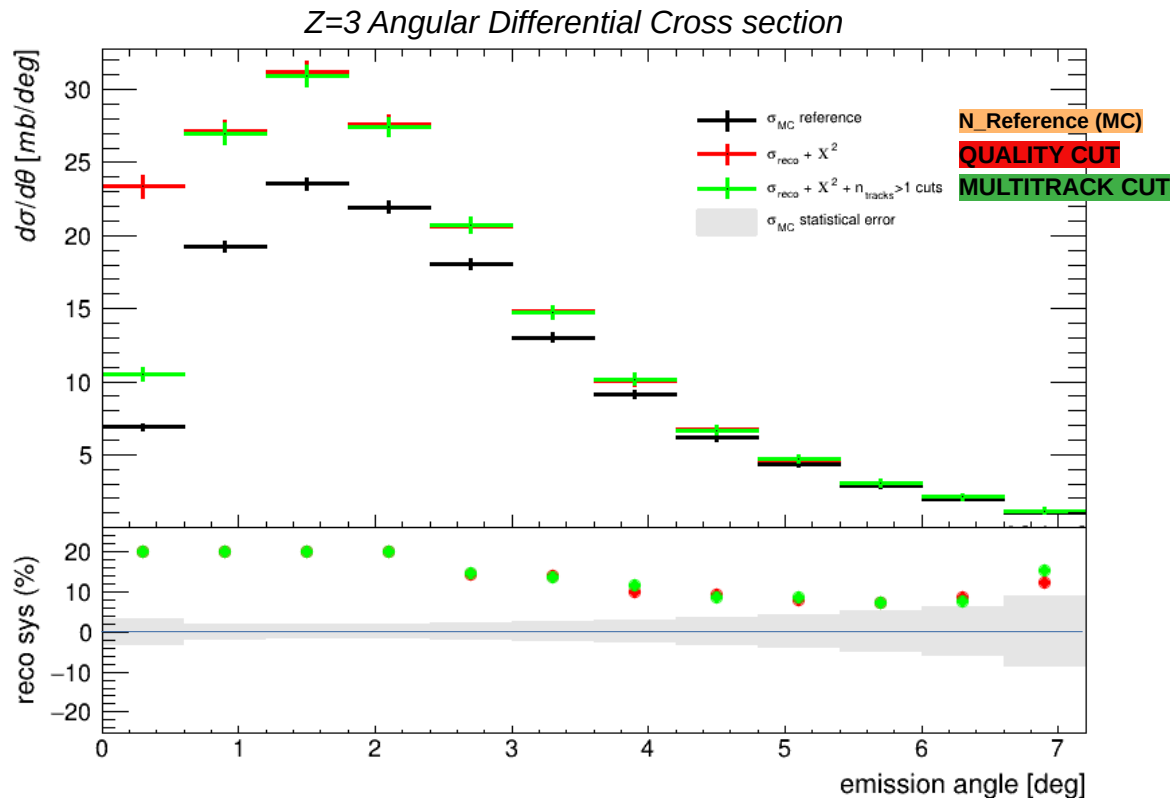
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Lithium case of study – cross section

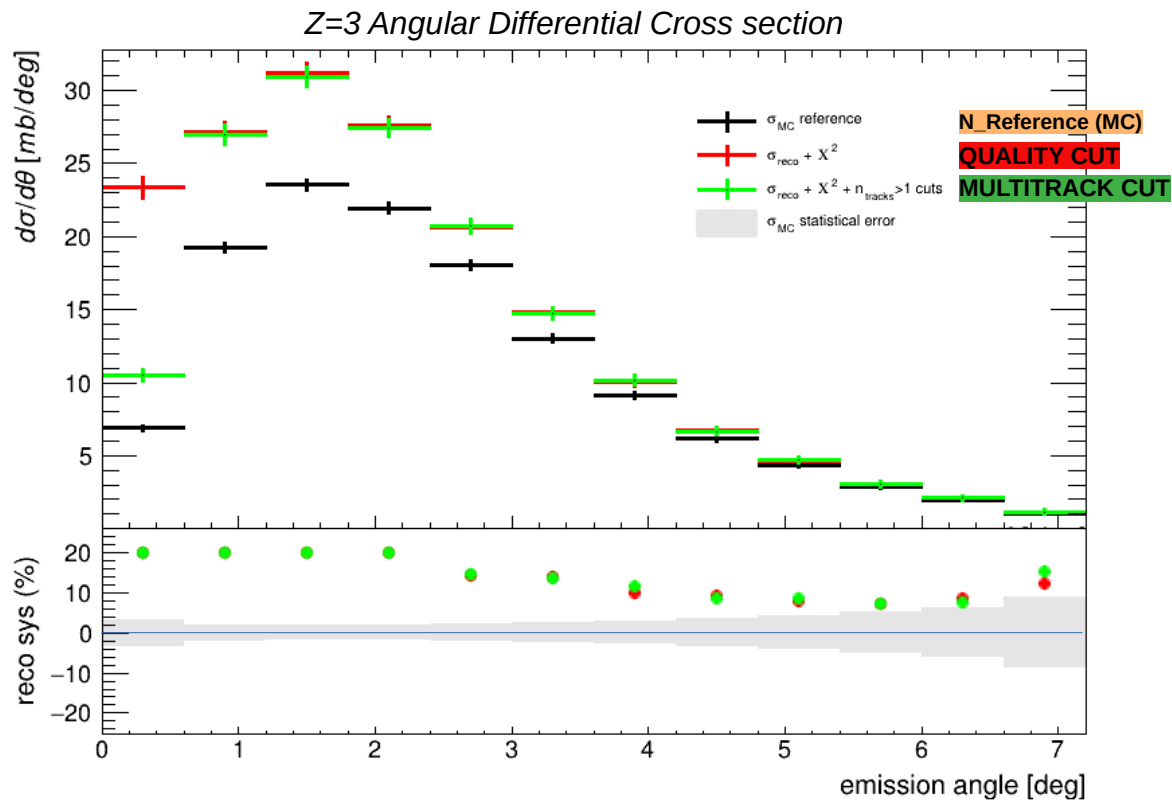
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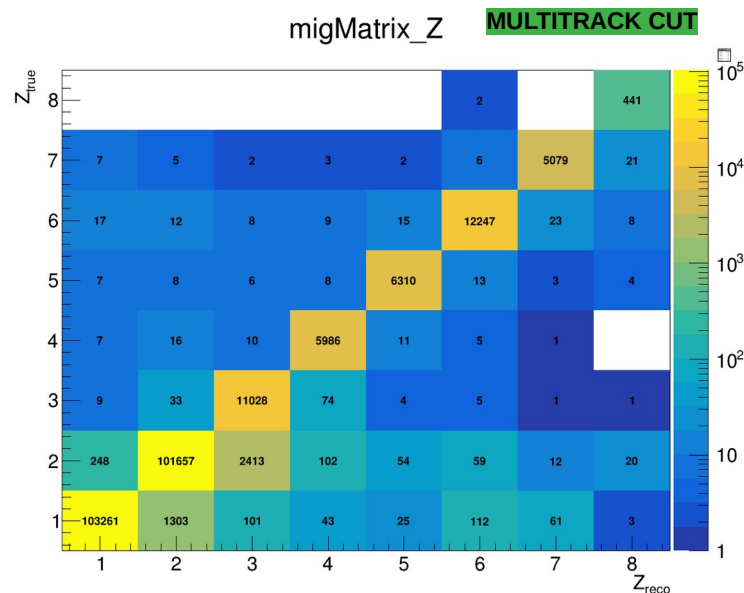
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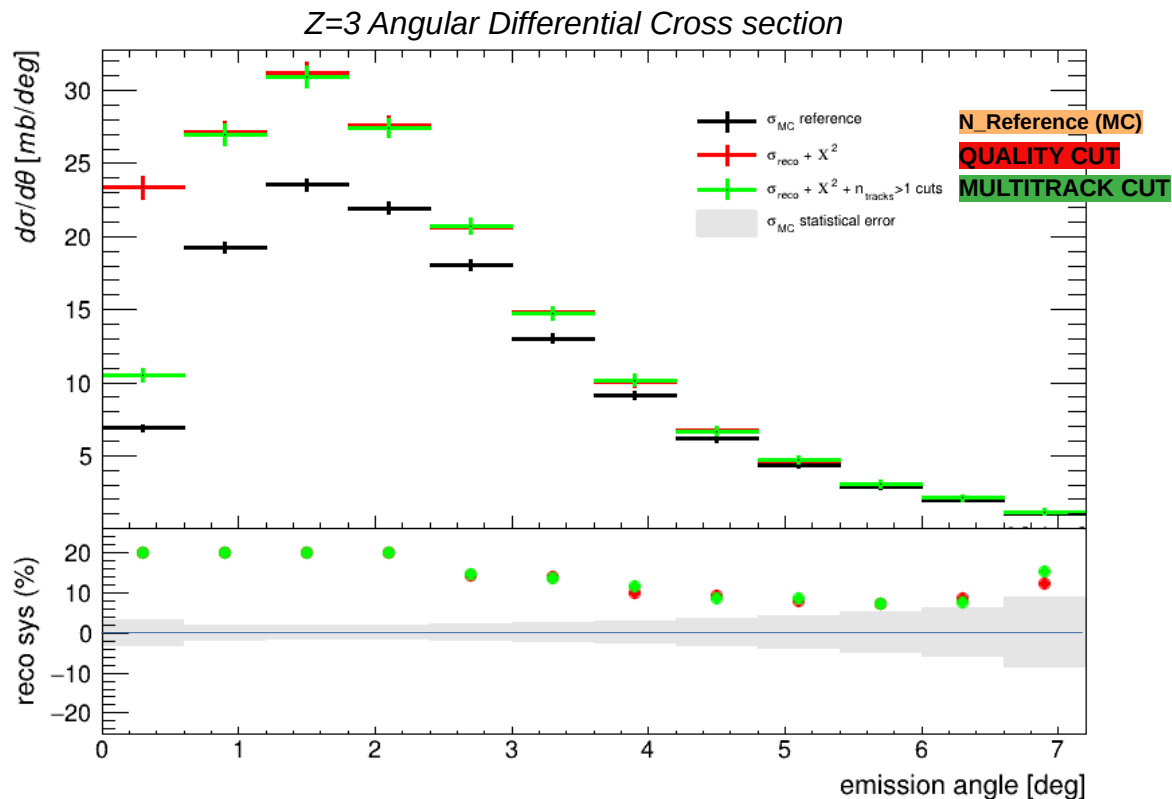
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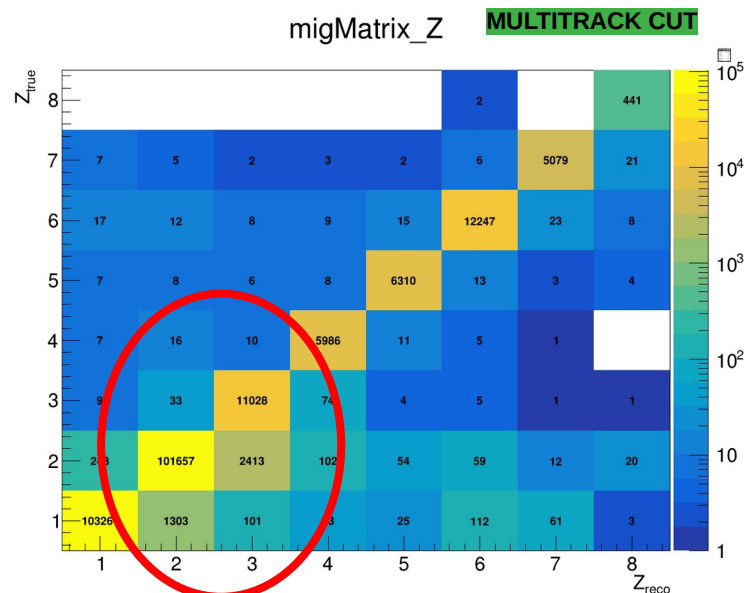
- Inspecting the CMM, there is lots of **misreco** mainly **with Z=3**

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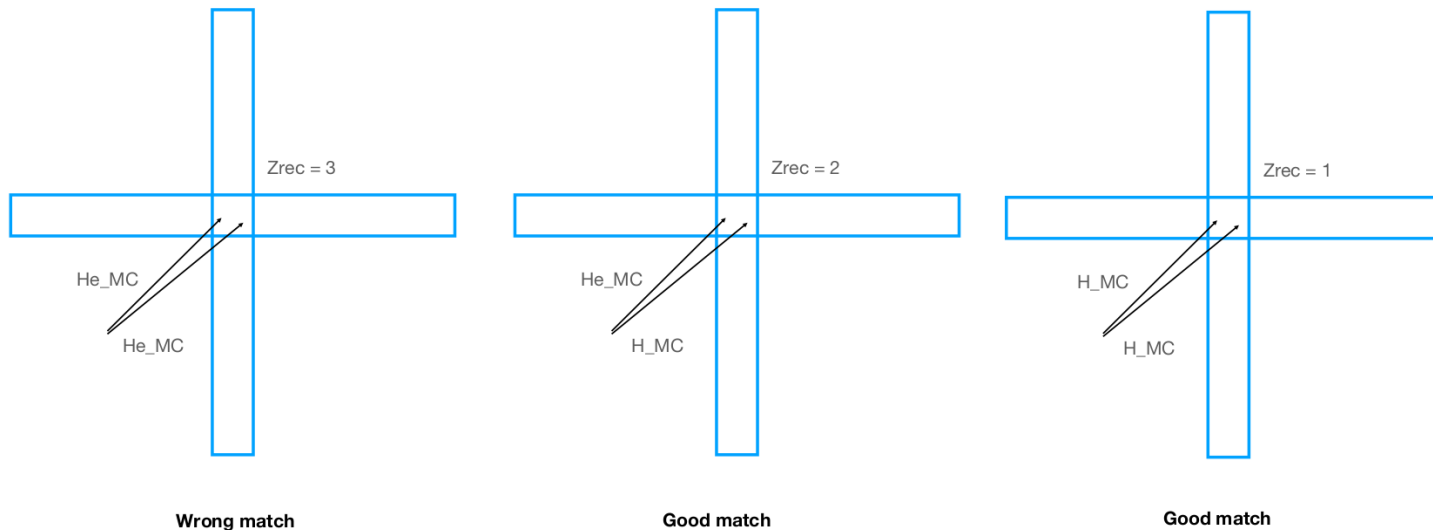
→ **due to TW reconstruction?**

TW point reconstruction

<https://agenda.infn.it/event/35352/contributions/201148/>

- From Marco T.'s talk at GM of Bergamo:

Events surviving the TW Z match



(Reminder: H and He are produced with large beta distributions)

- It is possible that more than one fragment pass through the same TW cross, misreconstructing the charge.
→ **High impact for misreconstructed $Z_{true} = 2$ charges into $Z_{reco} = 3$.**

TW point reconstruction

<https://agenda.infn.it/event/35352/contributions/201148/>

- From Marco T.'s talk at GM of Bergamo:

CMM matrix: GSI2021_MC(16O_C_400_1)

Concluding:

- The CMM as built here is showing **the intrinsic limit** of TW in identifying standalone the Z
- The result **depend on TW granularity** and the physics we're studying (fragmentation models in FLUKA)
- Help can come from:
 - 1) ZID from other detectors (MSD, VTX?)
 - 2) **global tracking in disentangle close tracks**
- Unfolding of the Z from the CMM cannot be done: the purity correction have to be used, but there is still a dependence on the FLUKA MC models
- Correlation of the multiplicity of tracks in the same bar with the production angle of the fragments?

$$\text{Purity} = N(Z_{\text{rec}}=Z_{\text{true}}) / N(Z_{\text{rec}})$$



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CMM matrix: GSI2021_MC(160)

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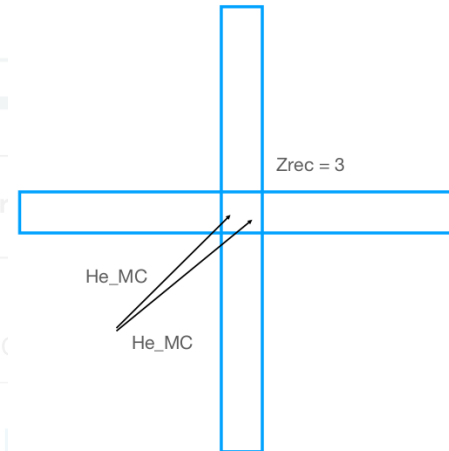
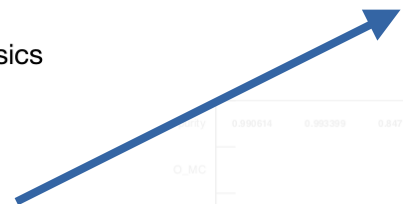
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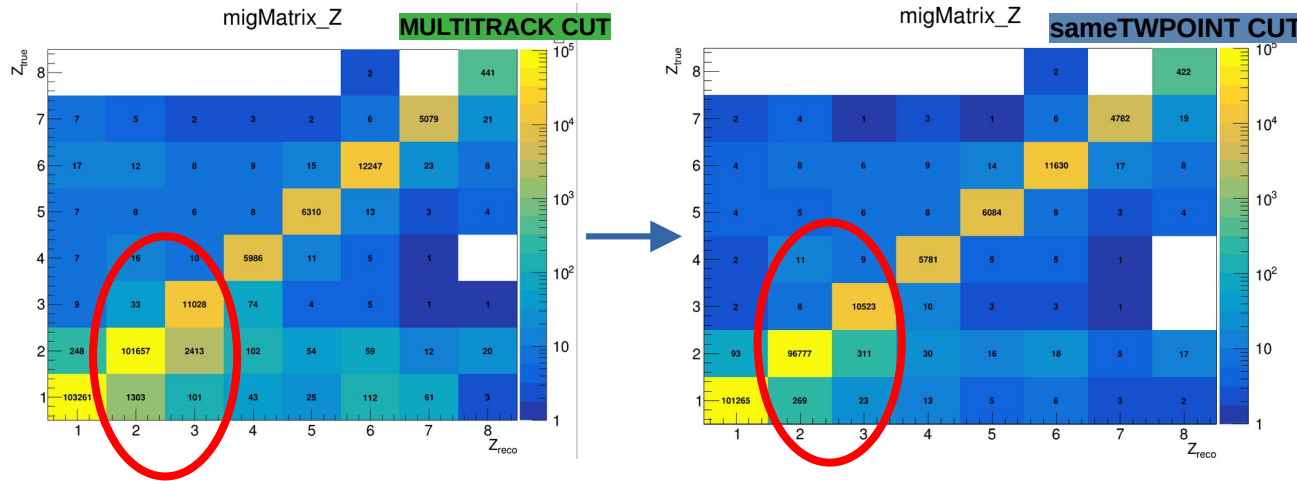


- An event like this can be reconstructed as **two tracks with the same TWPoint** by Global Tracking

- Let's apply a cut in which all these reco tracks are omitted:

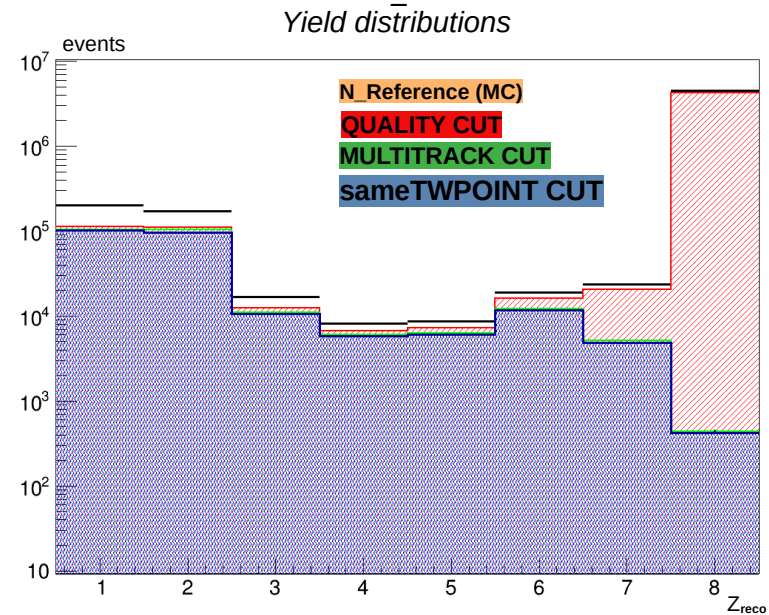
sameTWPOINT CUT

same TW point cut – cross section



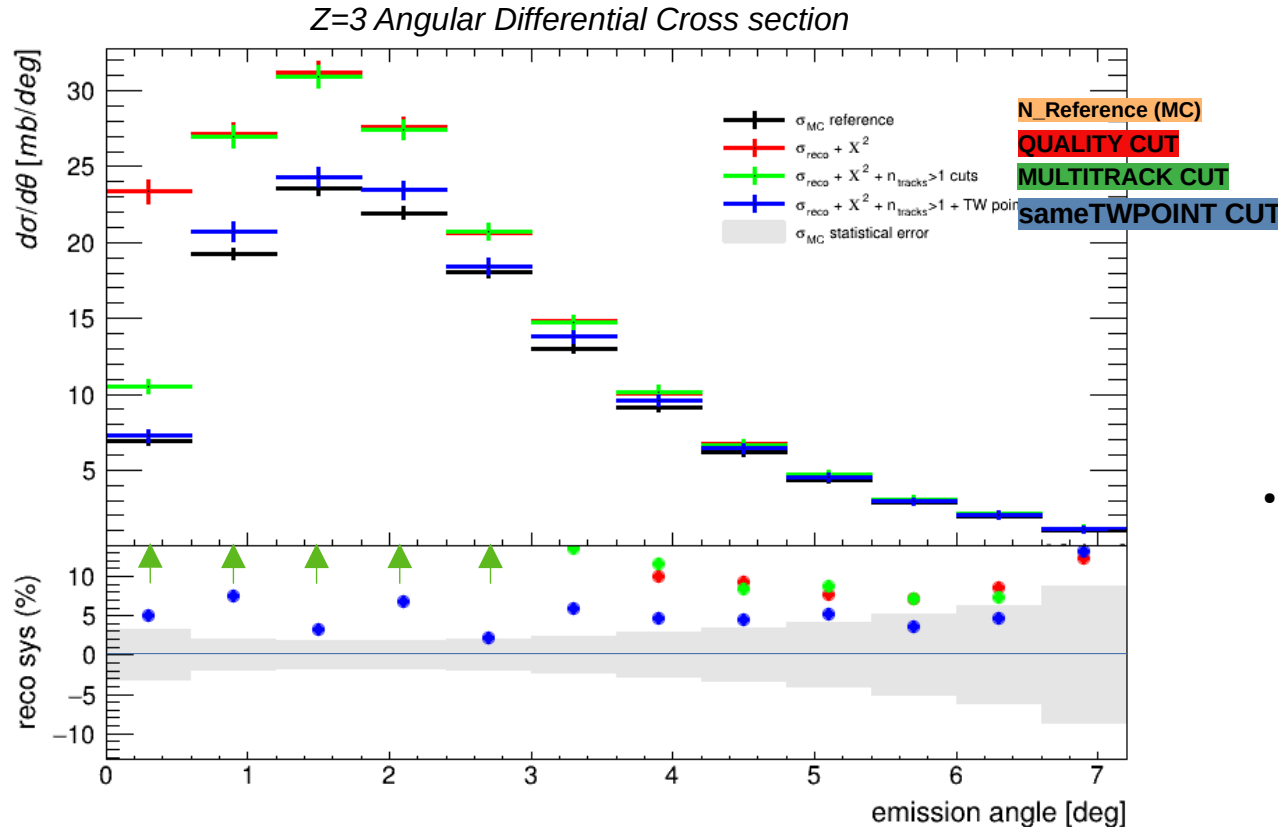
As expected:

- the reconstructed events out of diagonal for $Z=2$ and $Z=3$ are considerably reduced (and not only)
- Improvement of diagonalization of MM
- limited loss of statistics



Lithium case of study – cross section

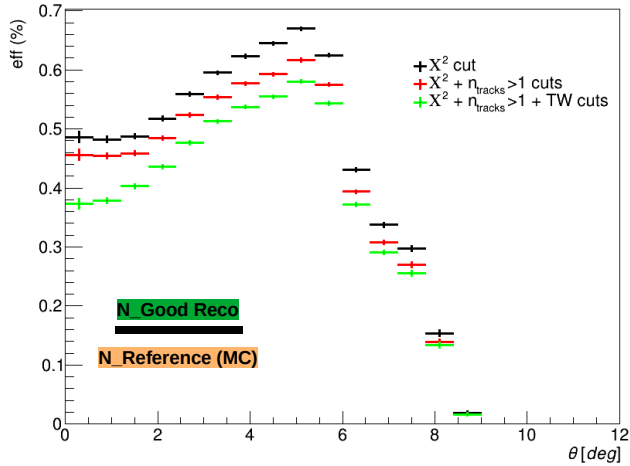
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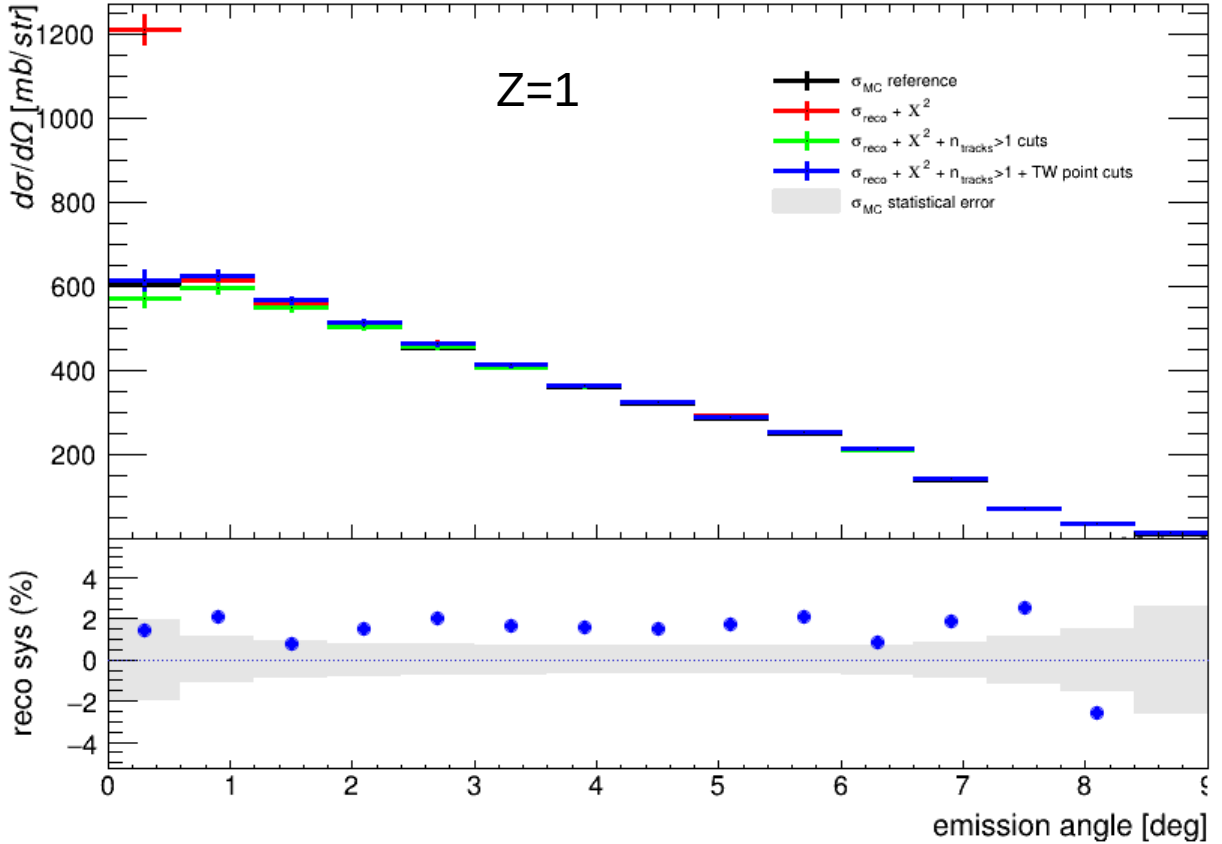
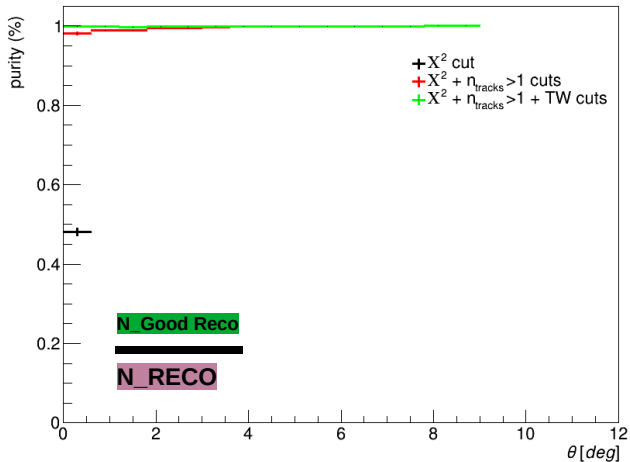
- The systematics decrease up to **5%**

Results – Angular Differential Cross Sections

efficiency comparison - Z = 1

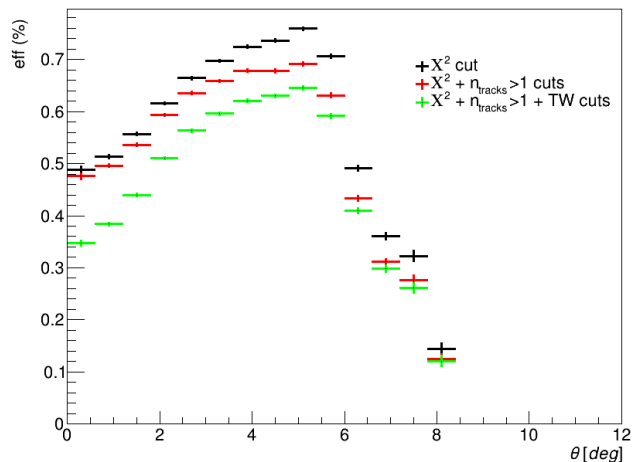


Purity comparison - Z = 1

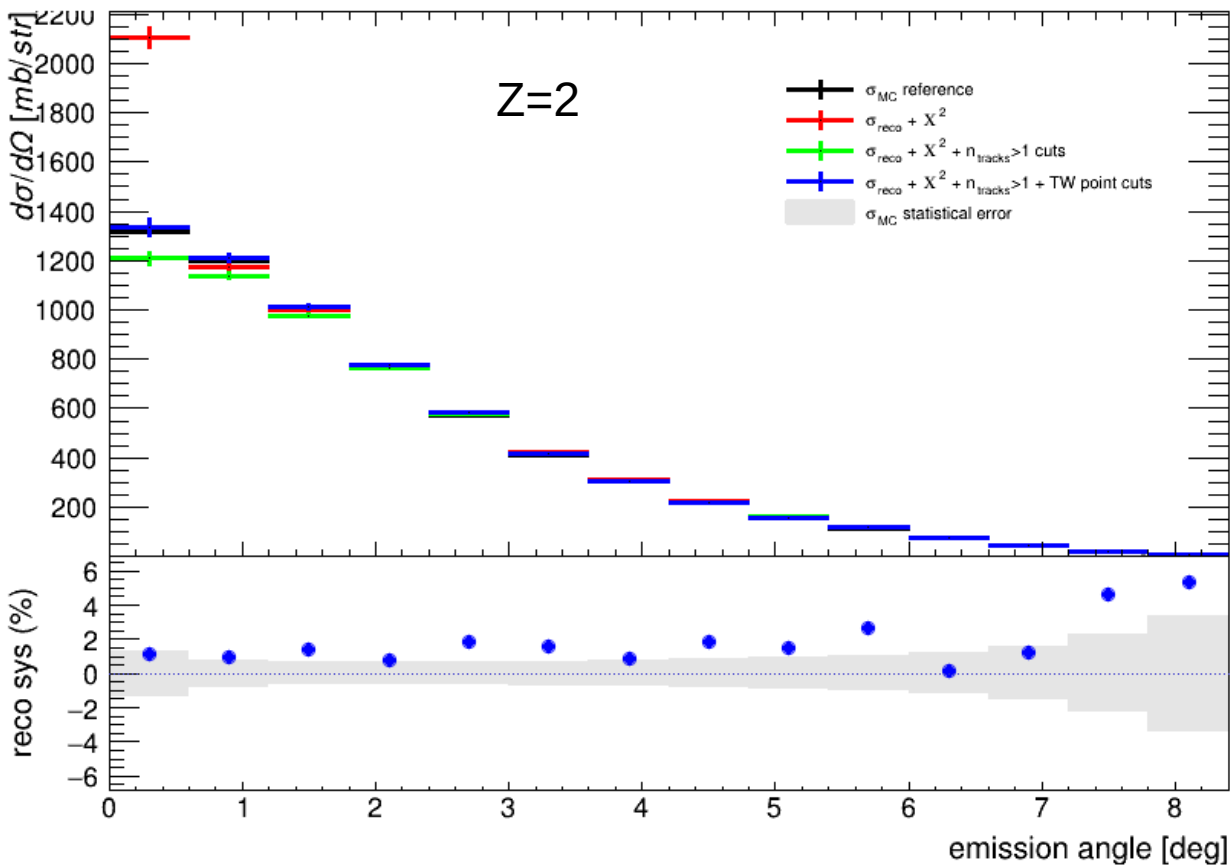
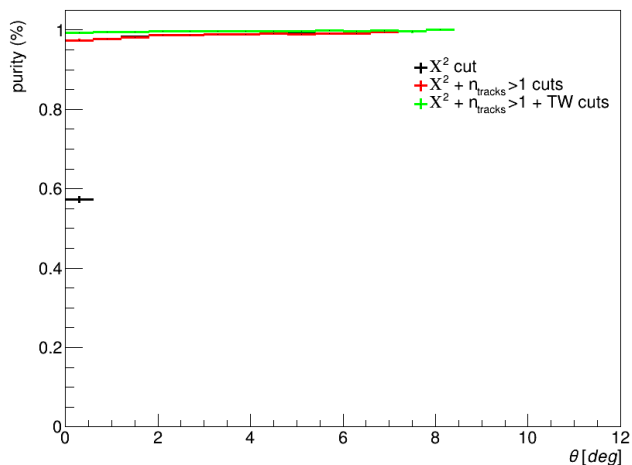


Results – Angular Differential Cross Sections

efficiency comparison - Z = 2

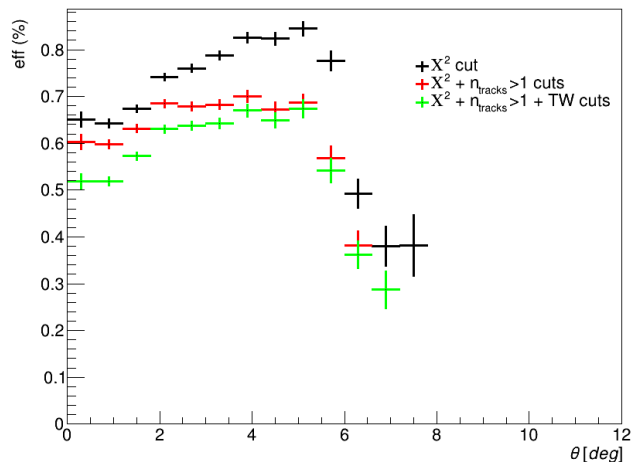


Purity comparison - Z = 2

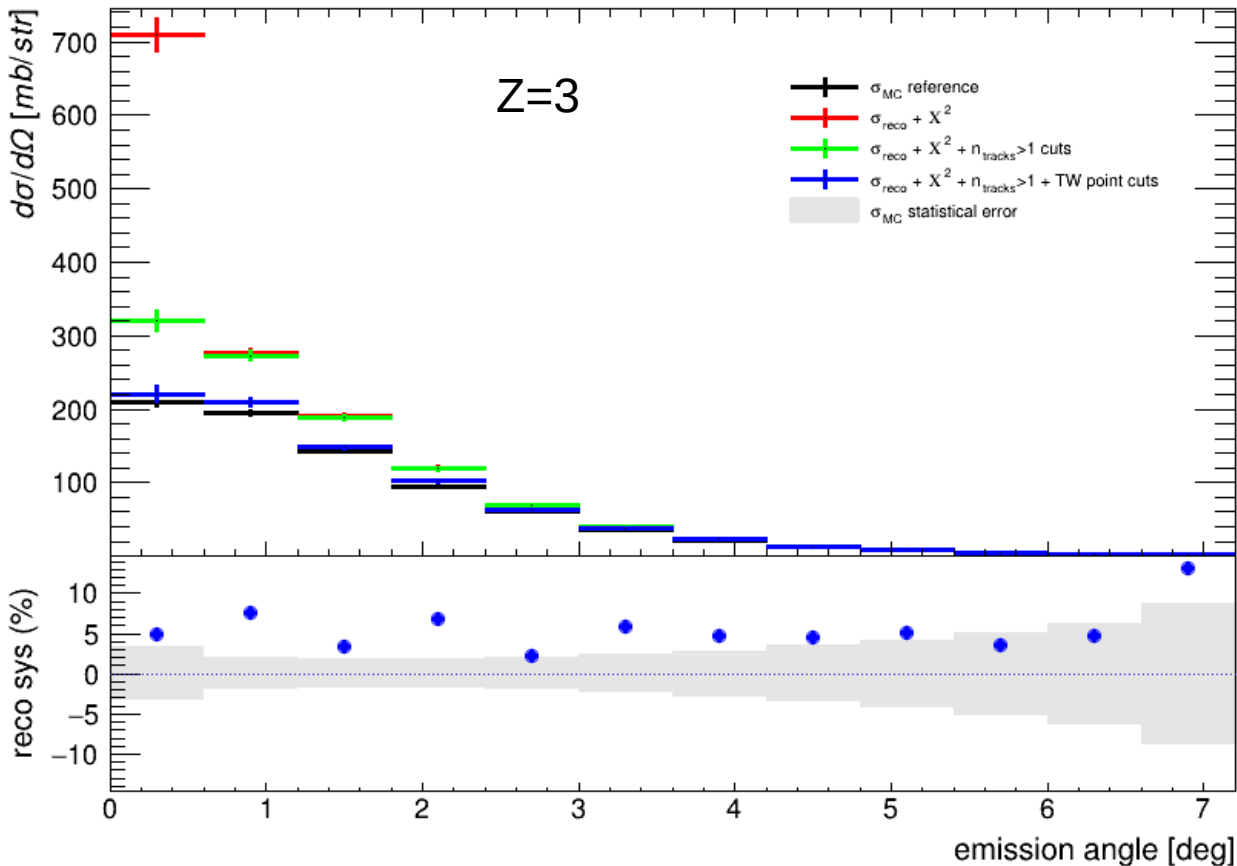
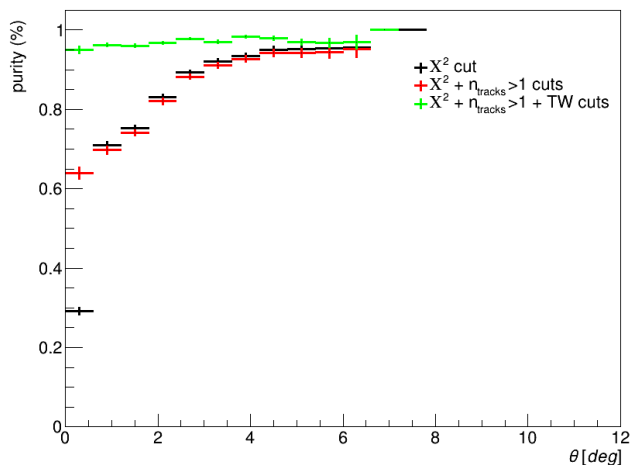


Results – Angular Differential Cross Sections

efficiency comparison - Z = 3

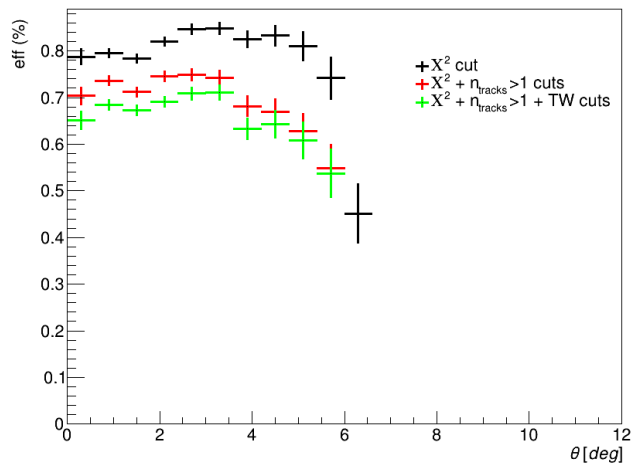


Purity comparison - Z = 3

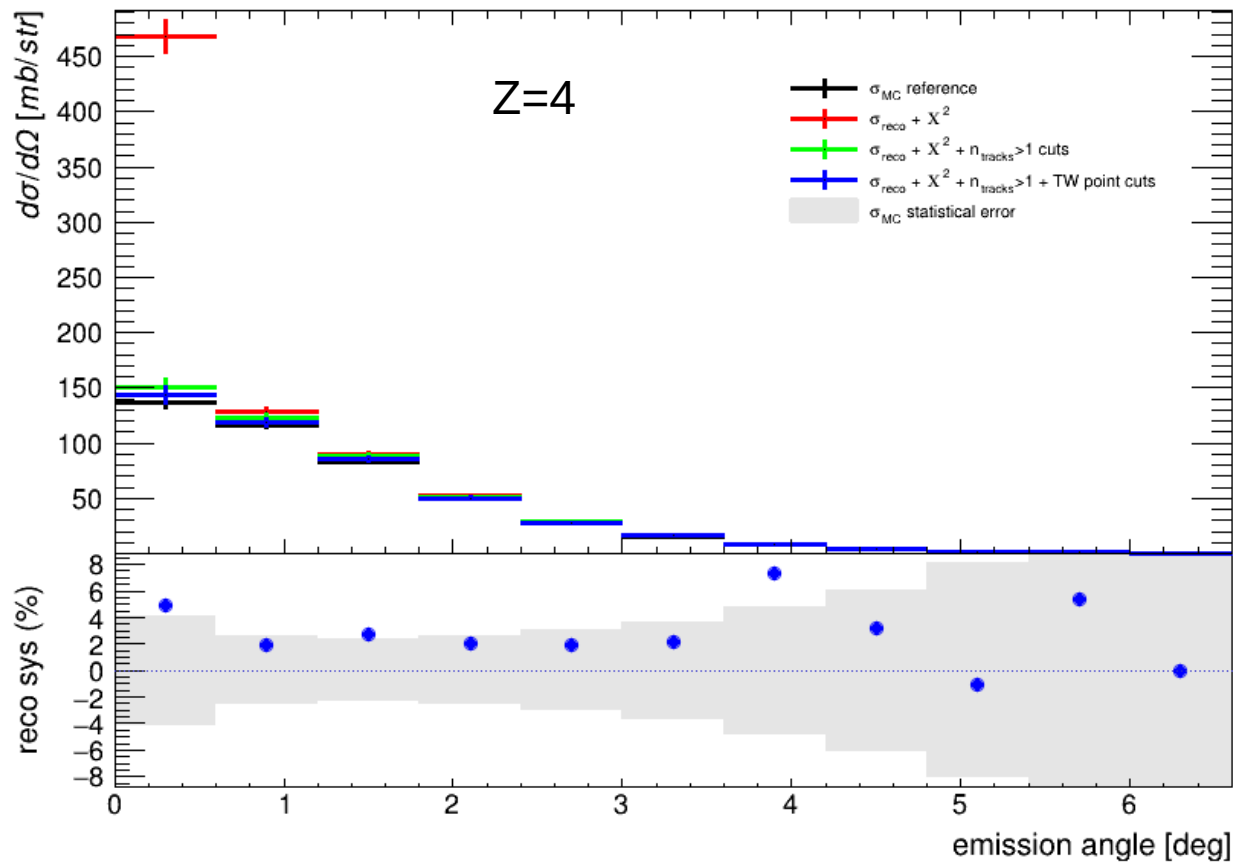
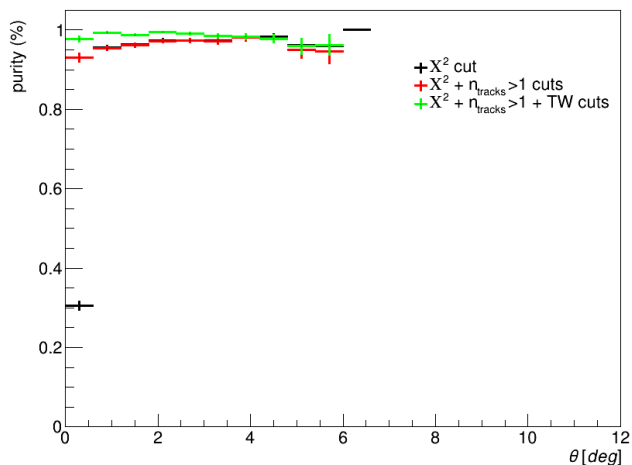


Results – Angular Differential Cross Sections

efficiency comparison - Z = 4

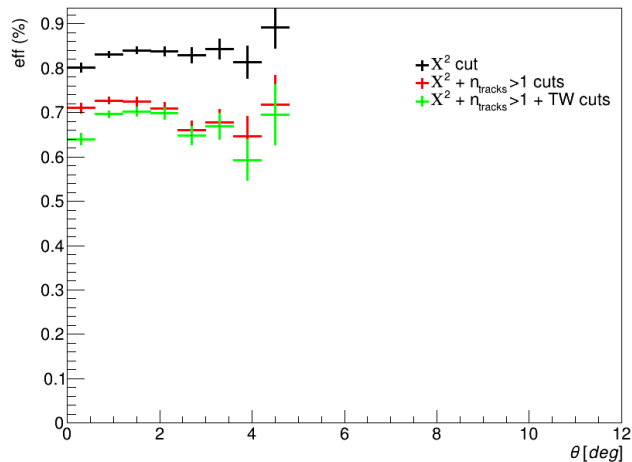


Purity comparison - Z = 4

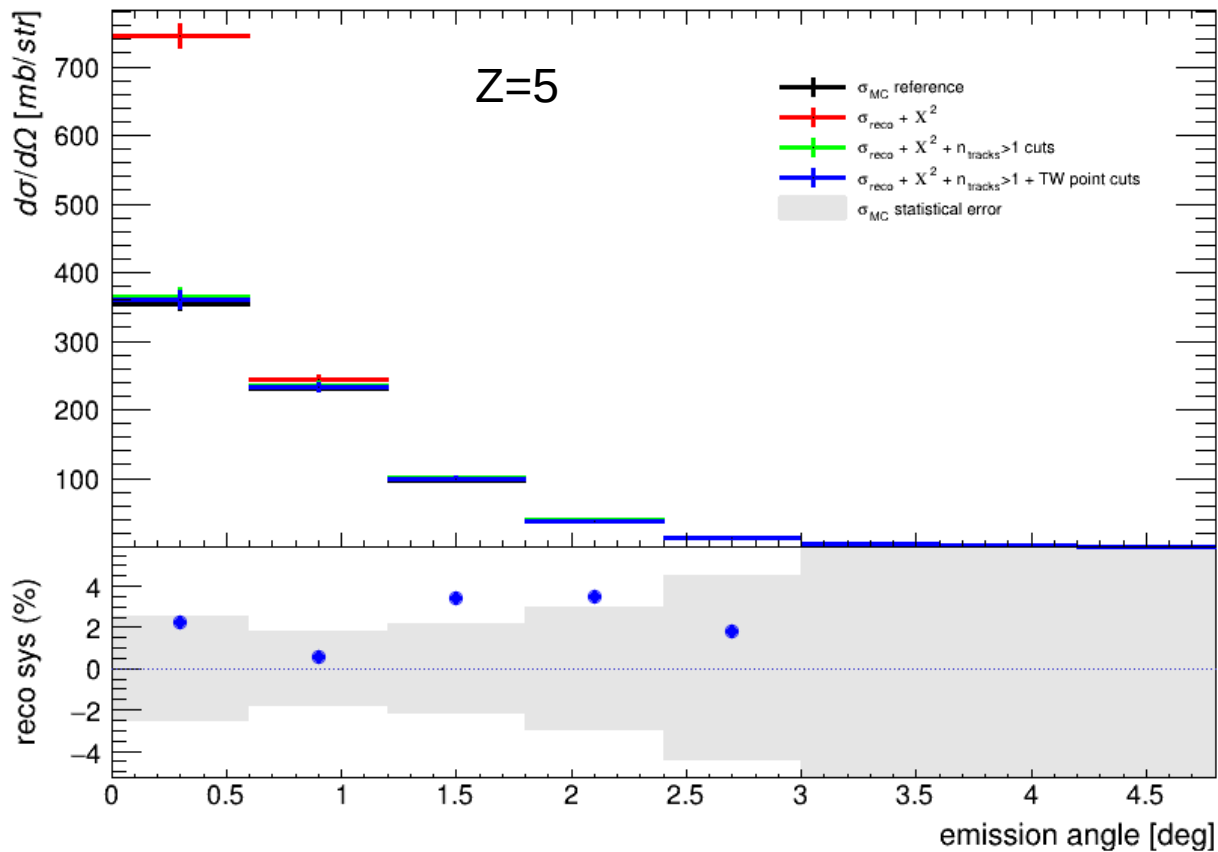
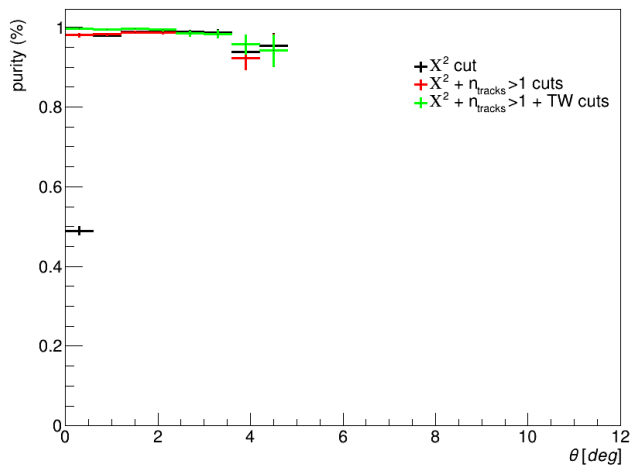


Results – Angular Differential Cross Sections

efficiency comparison - Z = 5

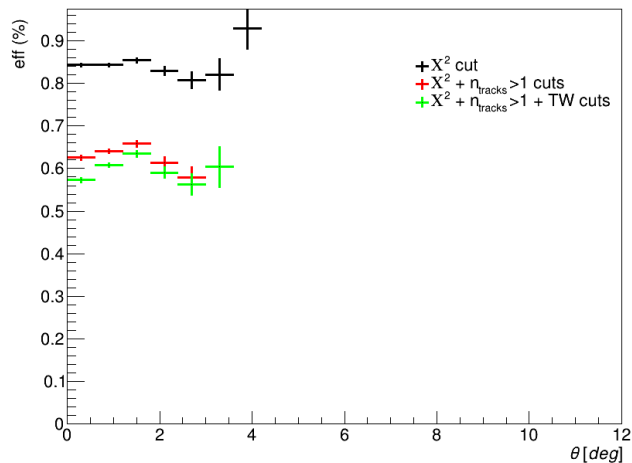


Purity comparison - Z = 5

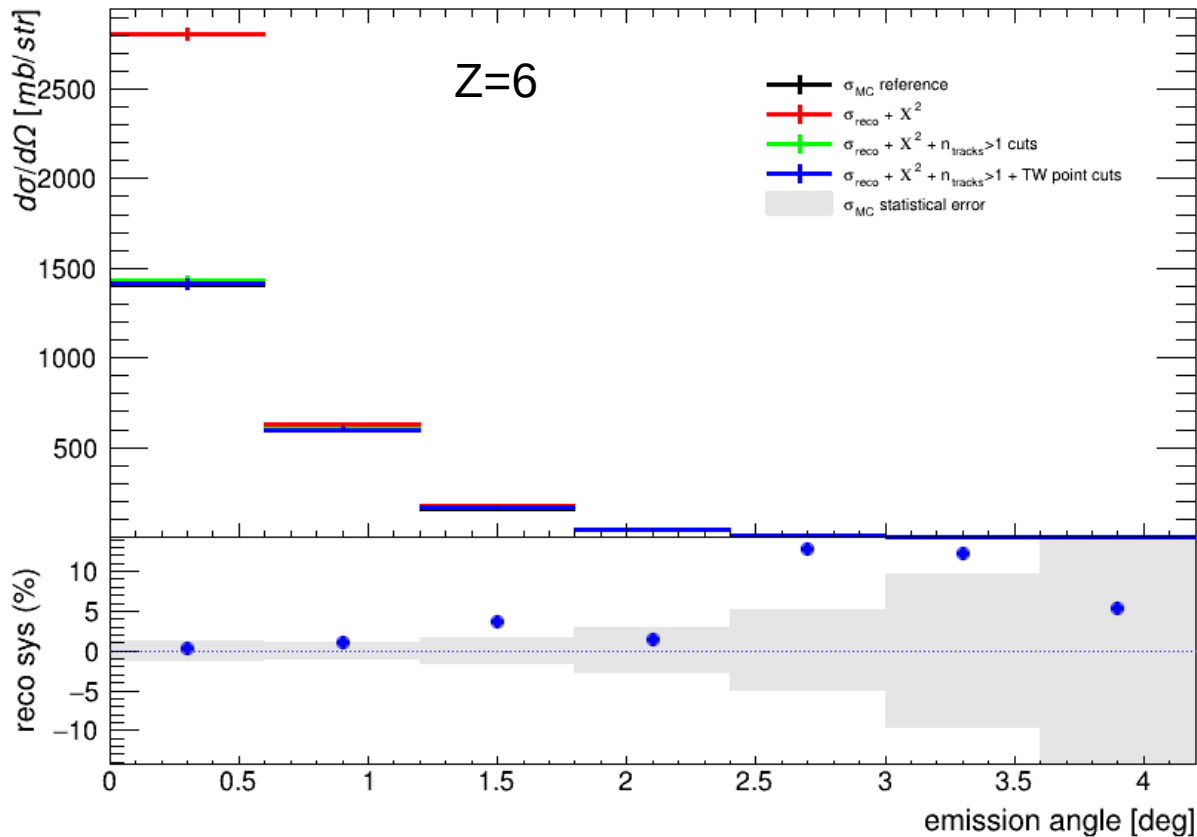
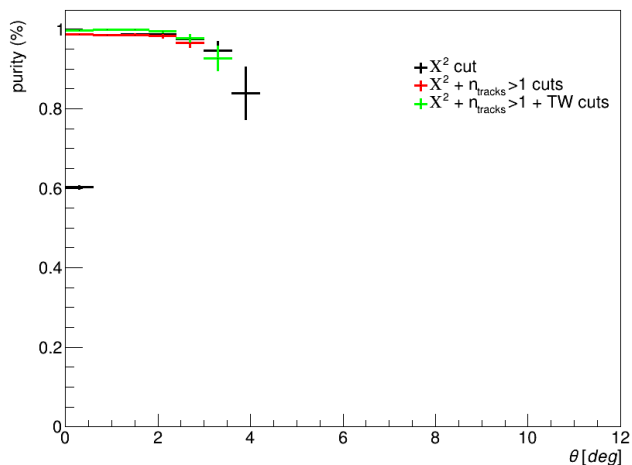


Results – Angular Differential Cross Sections

efficiency comparison - Z = 6

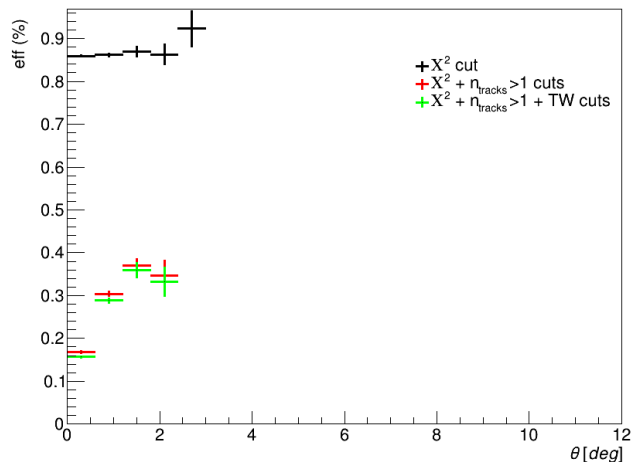


Purity comparison - Z = 6

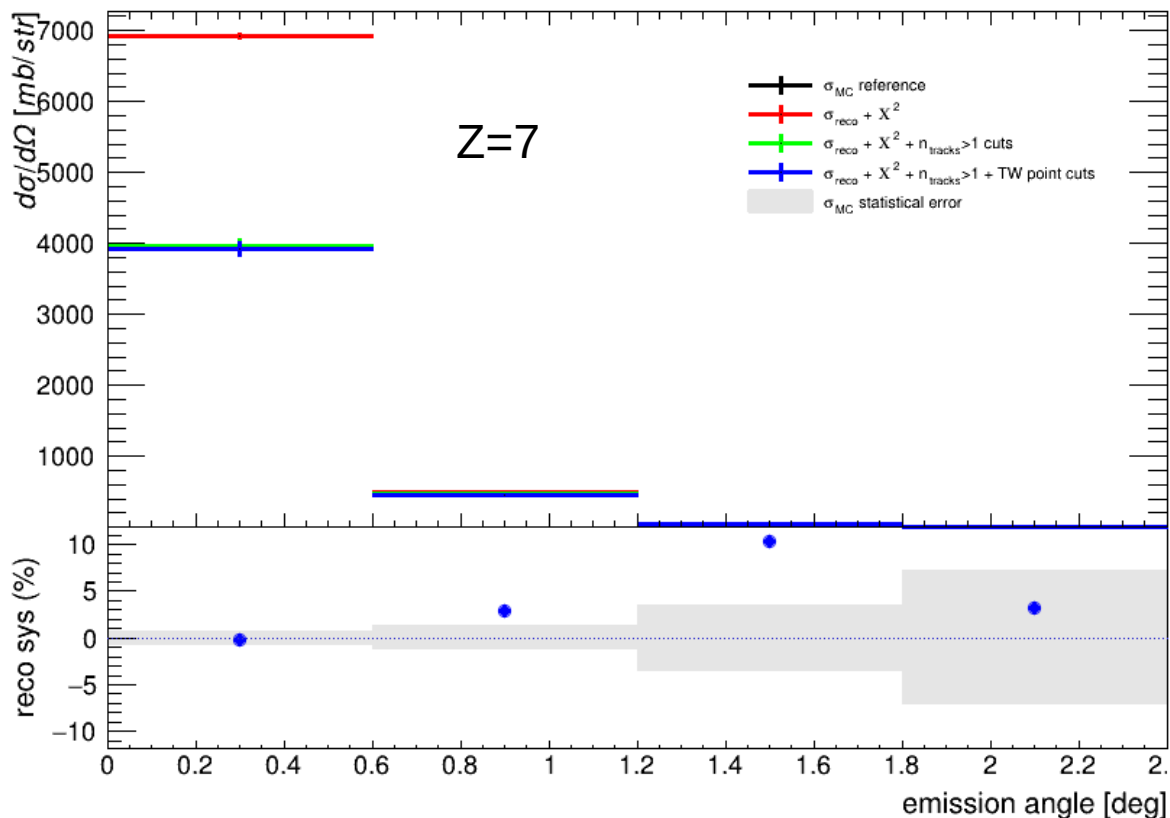
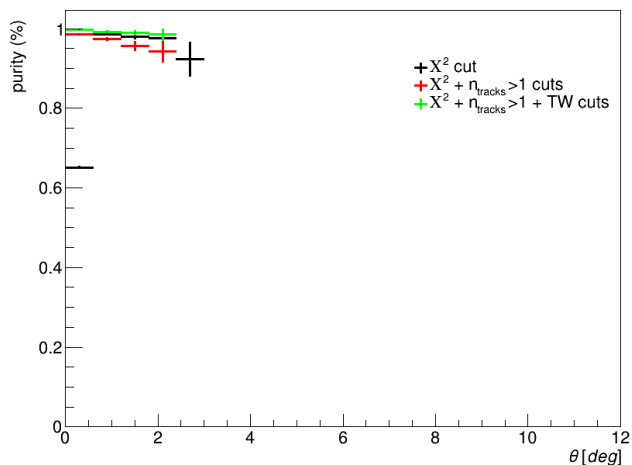


Results – Angular Differential Cross Sections

efficiency comparison - $Z = 7$

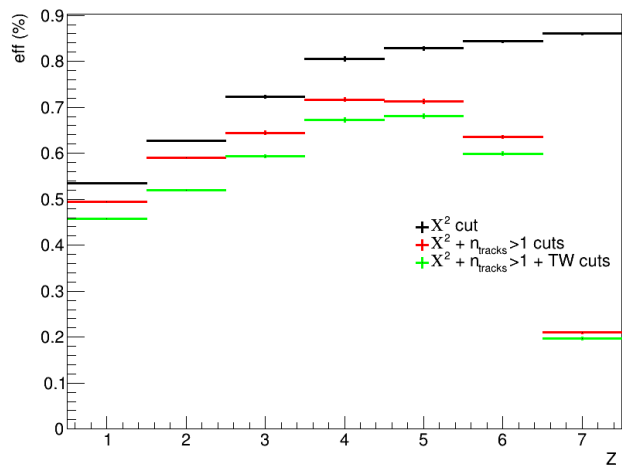


Purity comparison - $Z = 7$

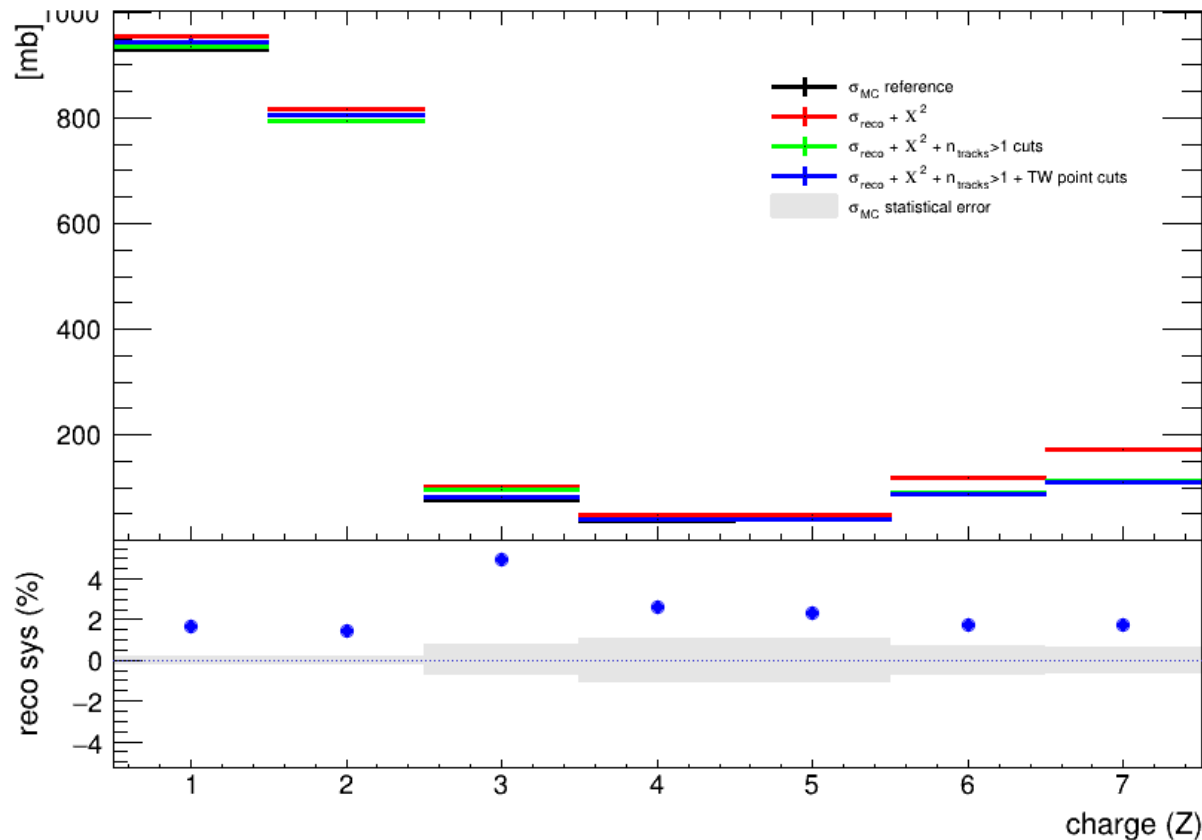
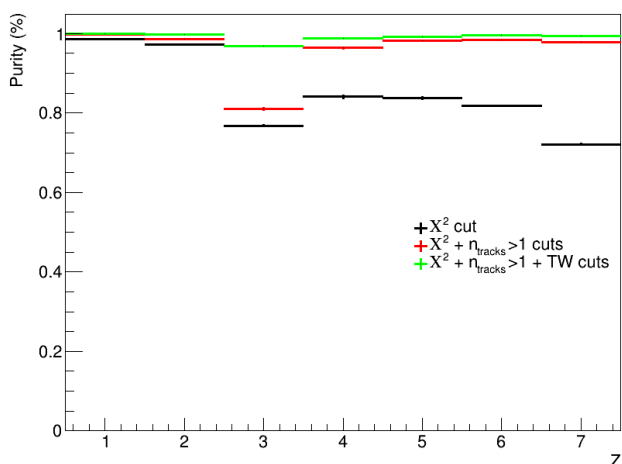


Results – Integral Elemental Cross Sections

Elemental efficiency comparison

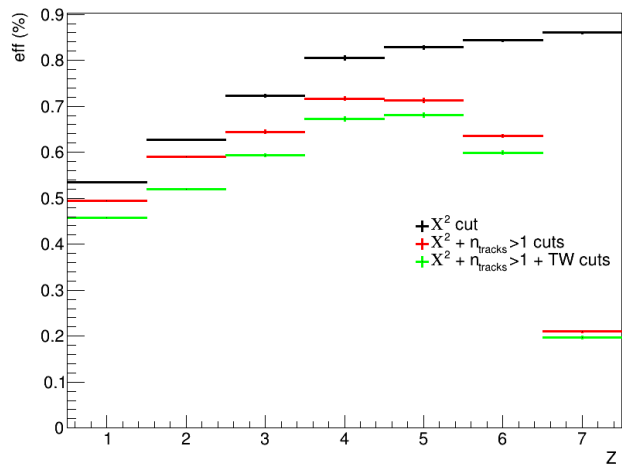


Elemental Purity comparison

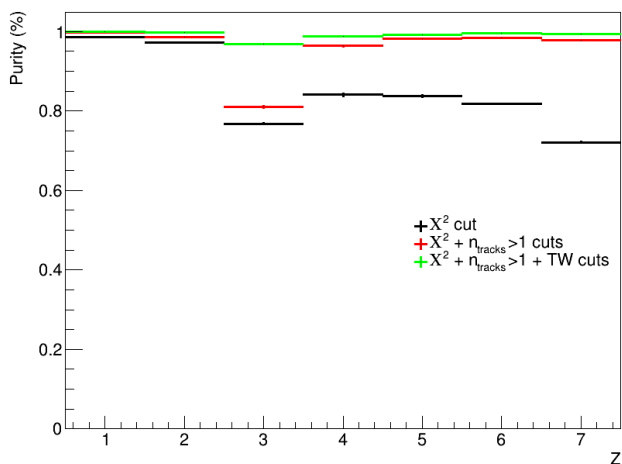


Results – Integral Elemental Cross Sections

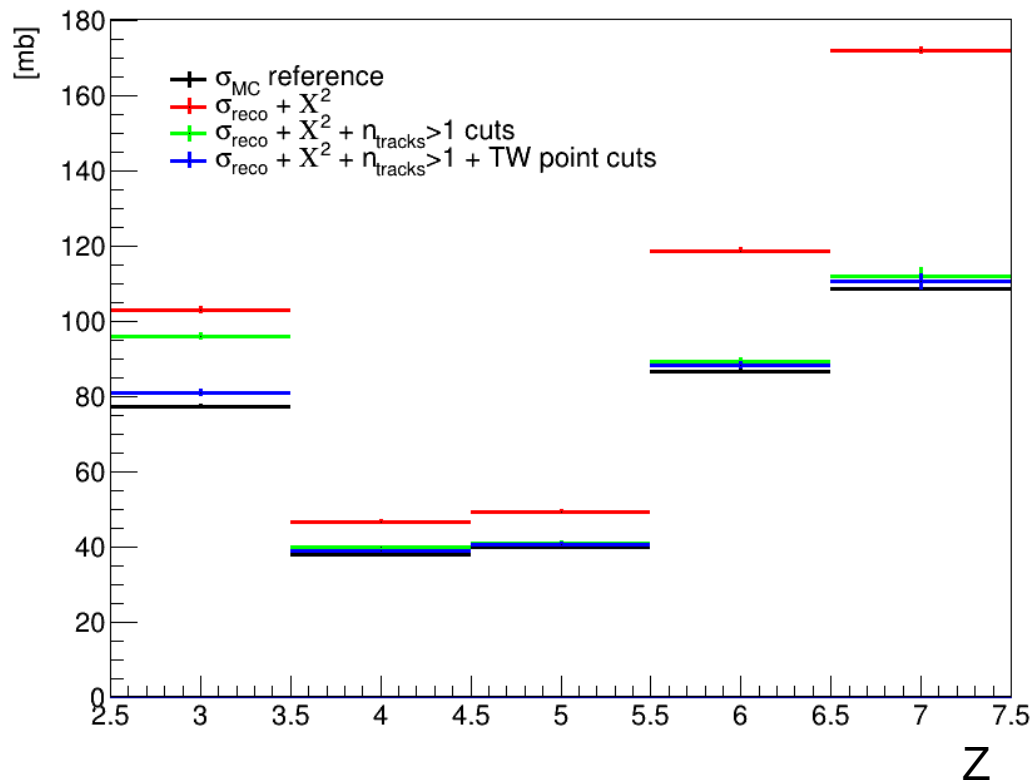
Elemental efficiency comparison



Elemental Purity comparison



Elemental Cross section comparison



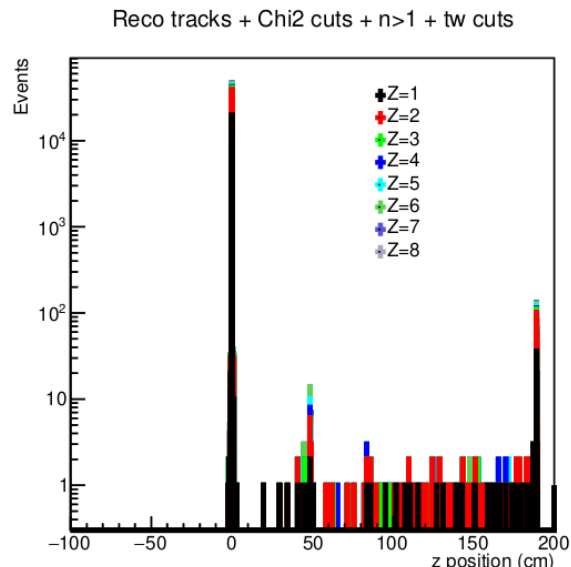
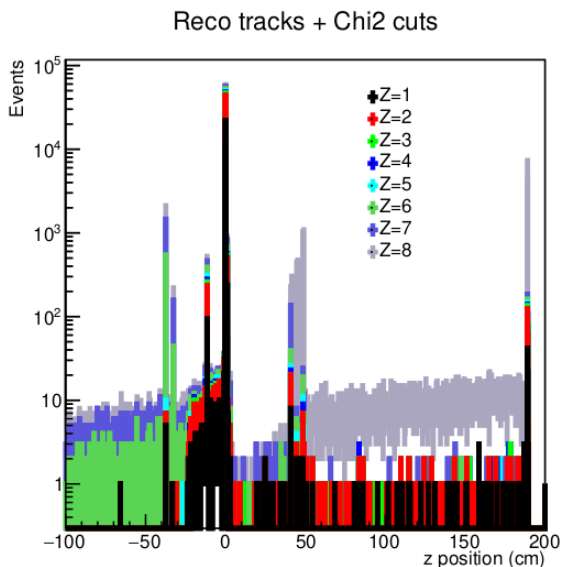
Conclusions

- Applying **Quality Cut**, **Multitrack Cut** and **same TWpoint Cut** a discrepancy of $\sim 5\%$ is achieved in a MC closure test for angular differential cross section and elemental cross section reconstruction vs the true cross section.
- Such discrepancy can be accounted as a **systematic error** in our reconstructed cross section.



Conclusions

- Applying **Quality Cut**, **Multitrack Cut** and **same TWpoint Cut** a discrepancy of $\sim 5\%$ is achieved in a MC closure test for angular differential cross section and elemental cross section reconstruction vs the true cross section.
- Such discrepancy can be accounted as a **systematic error** in our reconstructed cross section.
- the **background** (out of target, combinatorial and cross feed) is almost **totally rejected** with the found selection criteria
- the **purity** of the selected track strongly **increased**
→ **no need of background subtraction technique?**



Conclusions

How to further improve our reconstructed XS and reduce systematics?

- Main criticalities to be faced for cross section measurements using Global Tracking:
 - **Fragmentation out of target** → investigate more feature of secondary fragments tracks
 - **TW intrinsic limits** → **MSD charge reconstruction** could be of help (to be checked with MC truth before implementing reconstruction)
 - E_{kinetic} measured by **calorimeter** should be very different for fragments in the same TW cross!
- check how using the **Z information from other detector** (VTX and MSD) improve track quality and so background rejection
- Check if **angular unfolding** is needed



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- Check if **angular unfolding** is needed

What's next?

- Let's move to **real data** of GSI2021 campaign
- study thresholds and detector efficiencies in **data** for MSD and VTX and tune MC accordingly
- studying the MC reconstructed cross section as a function of **beta** bins
- Let's move to MC dataset with **full setup** (in preparation for CNAO2023...)



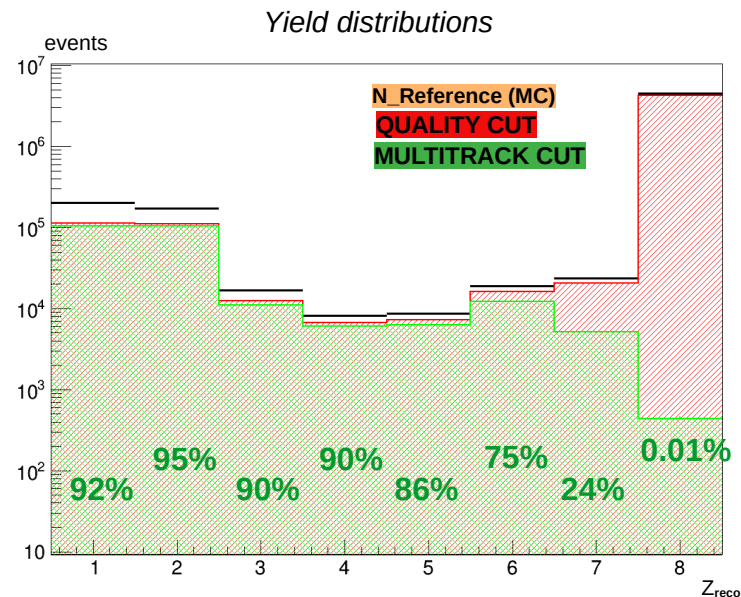
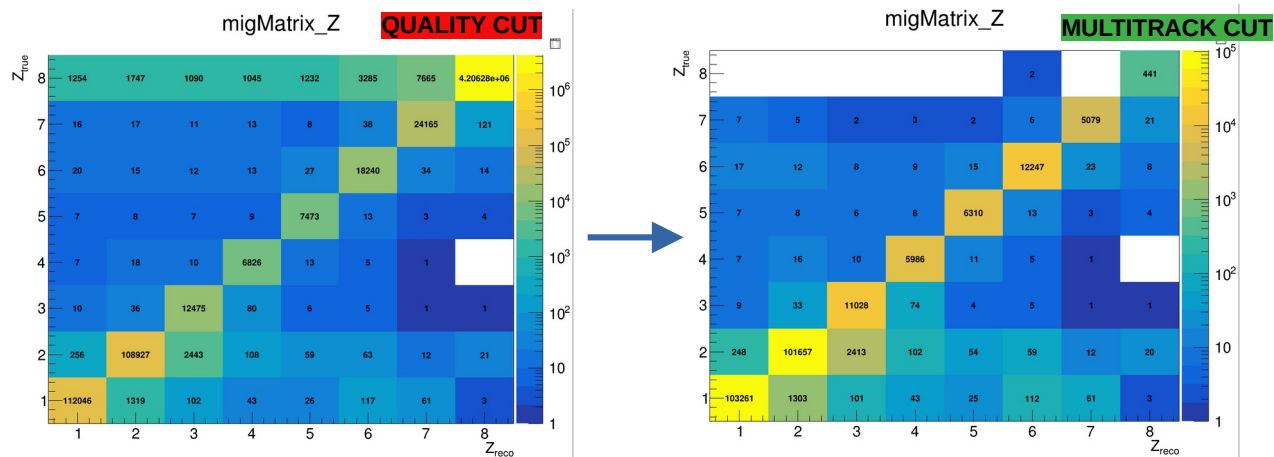
Conclusions

Thanks for the attention!



Back-up slides

Multitrack cut – observations



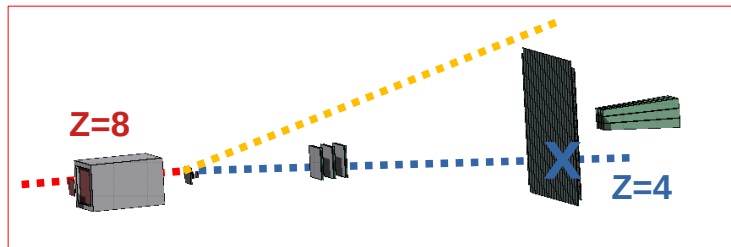
As expected:

- the $Z_{\text{true}} = 8$ row has been removed
- the highest amount of cut yields are from $Z=8$ and bad Z_{reco}
- N.B.: this cut introduces a bias in events where there is fragmentation in target but only one fragment is revealed.

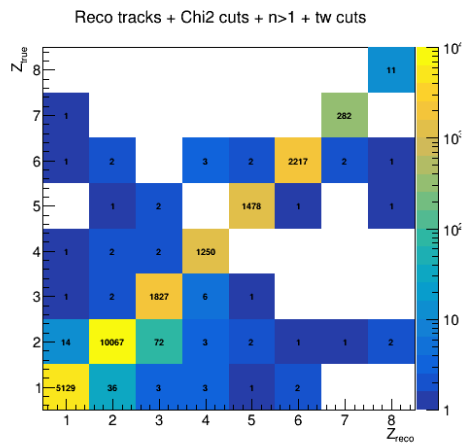
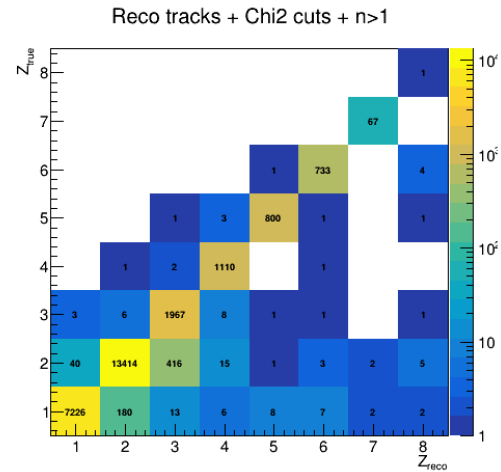
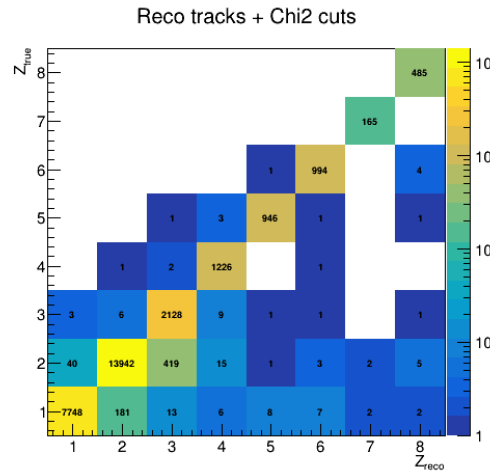
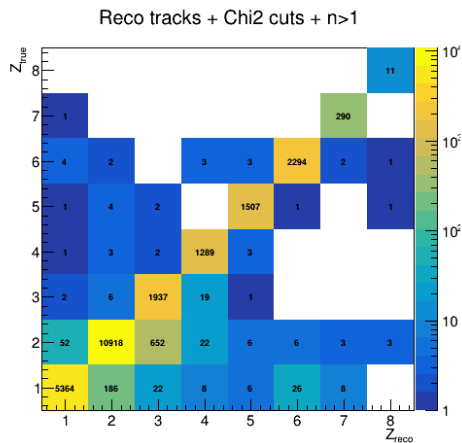
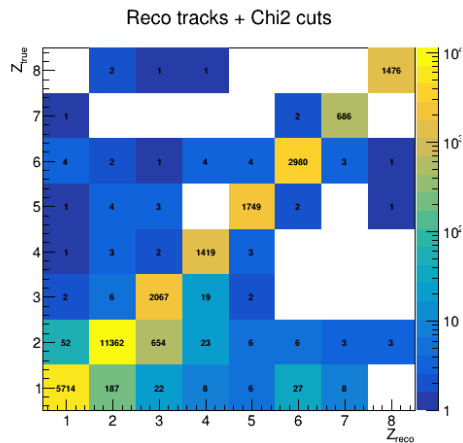
However, it is still taken into account when computing the efficiency, since:

$$\varepsilon = \frac{\text{N_Multitrack Good Reco}}{\text{N_Reference (MC)}}$$

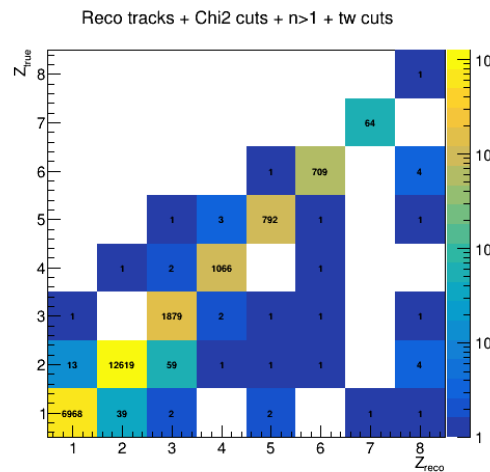
Bias on good event which is cut:



CMM wrt angular emission

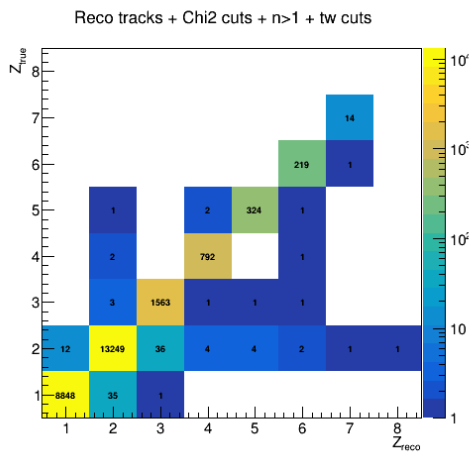
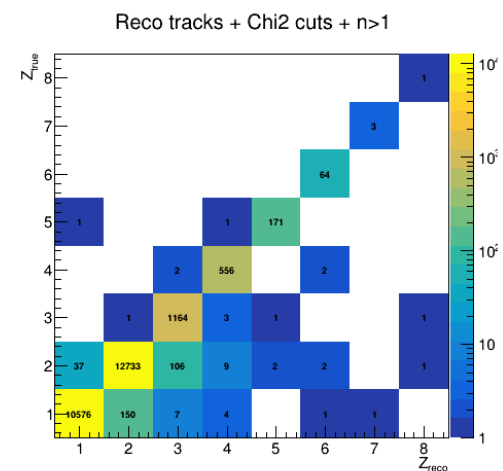
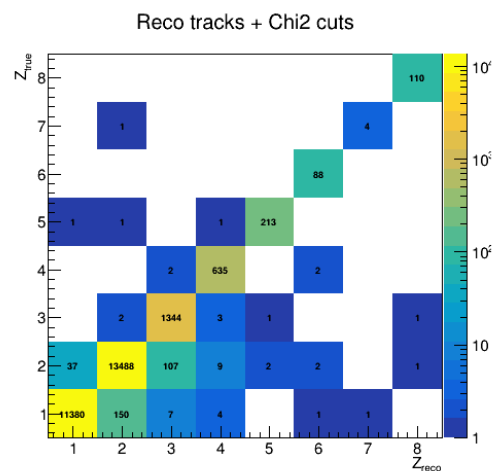
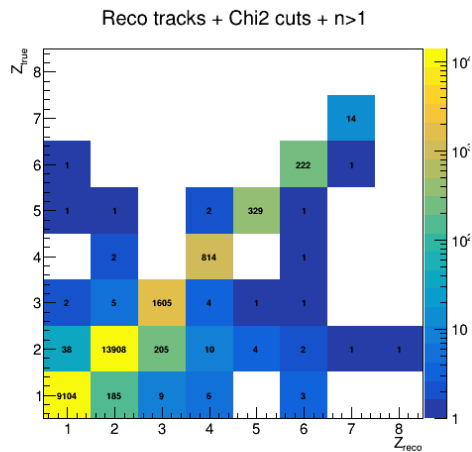
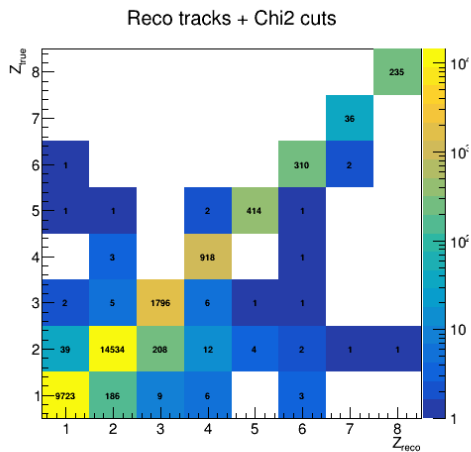


migMatrix_Z with theta < 1.800000

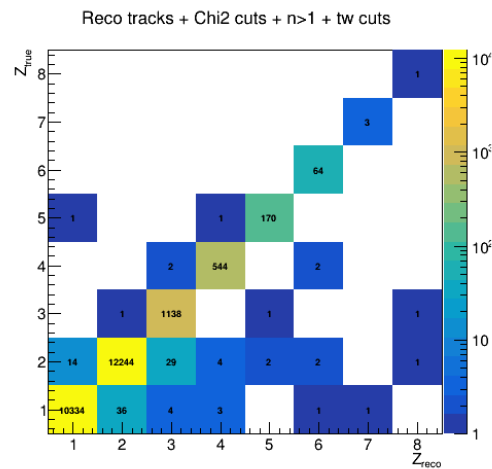


migMatrix_Z with theta < 2.400000

CMM wrt angular emission

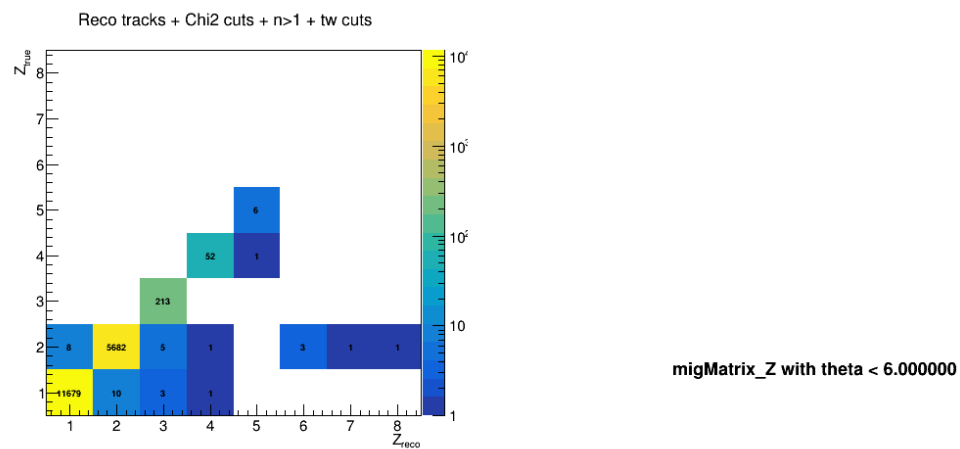
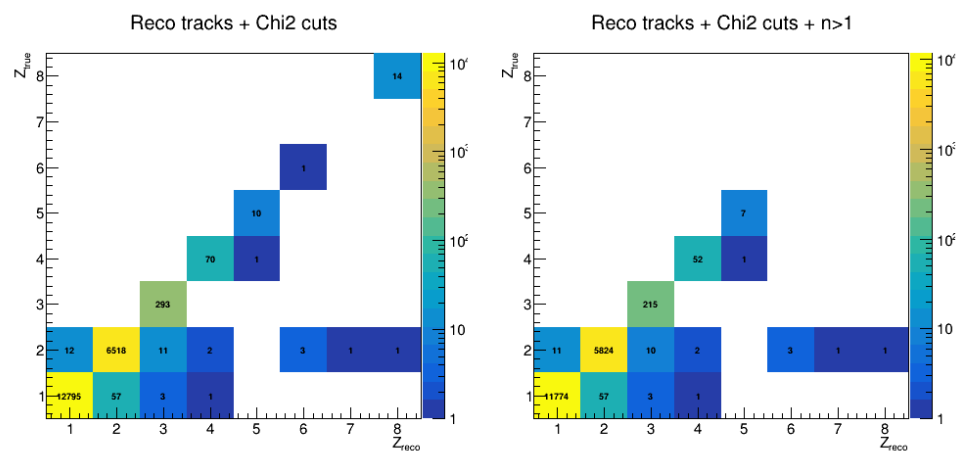
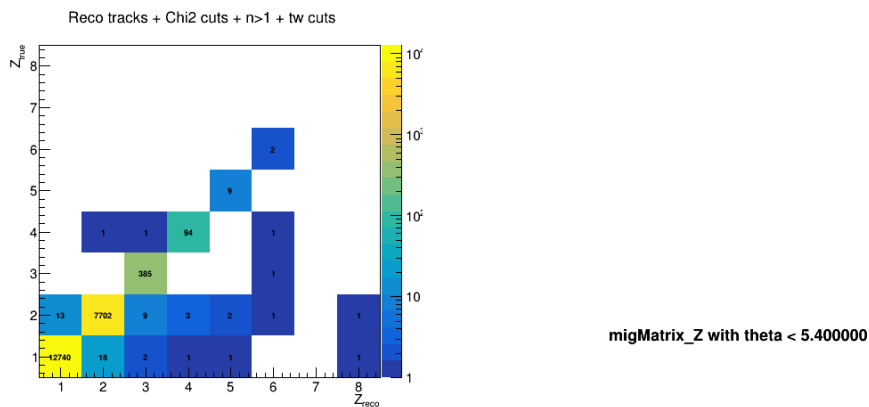
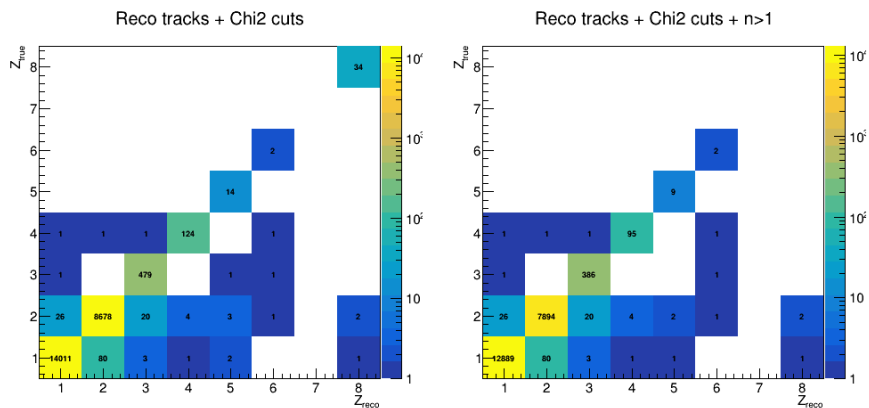


migMatrix_Z with theta < 3.000000



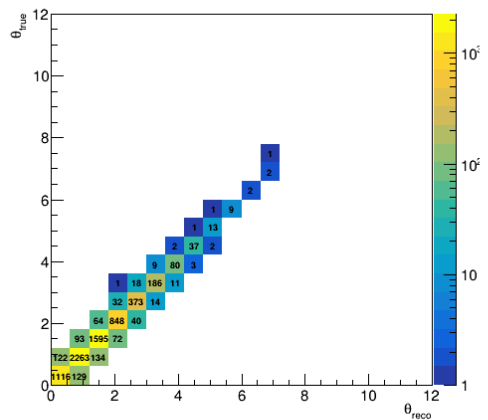
migMatrix_Z with theta < 3.600000

CMM wrt angular emission

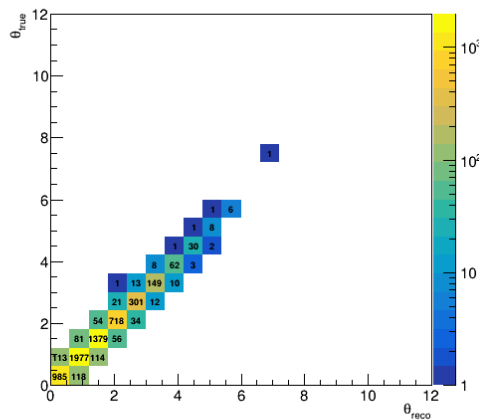


Angular MM

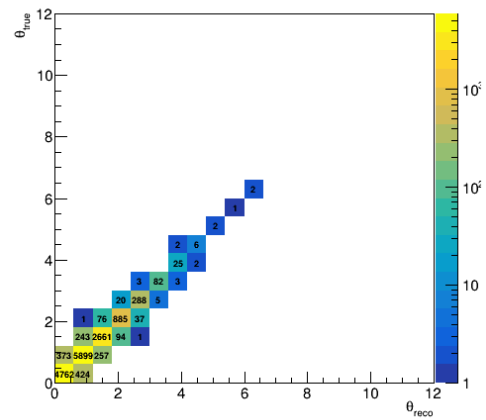
Reco tracks + Chi2 cuts



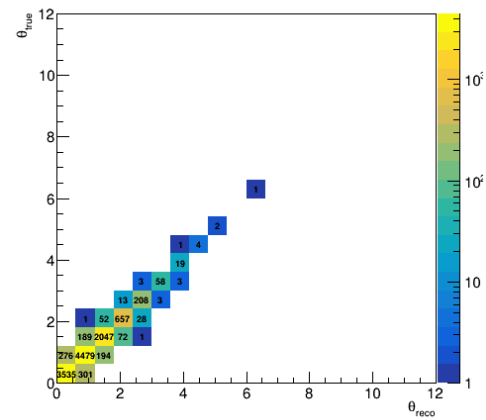
Reco tracks + Chi2 cuts + n>1



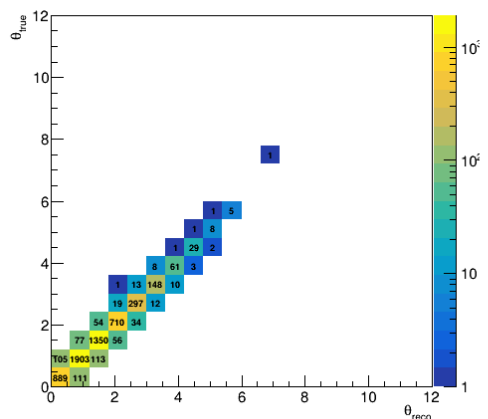
Reco tracks + Chi2 cuts



Reco tracks + Chi2 cuts + n>1

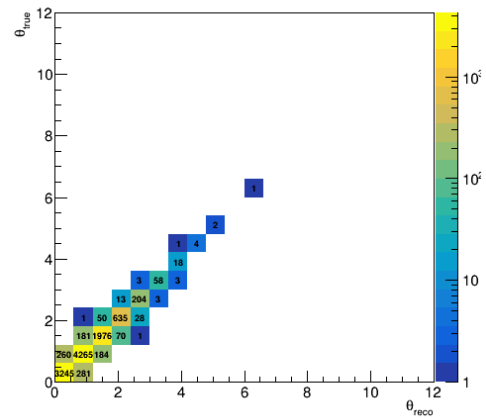


Reco tracks + Chi2 cuts + n>1 + tw cuts



migMatrix_theta_Z=5

Reco tracks + Chi2 cuts + n>1 + tw cuts



migMatrix_theta_Z=6