Anomaly Detection with AutoEncoders in CMS Data Quality Monitoring

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Alkis Papanastassiou - UniFi & INFN Firenze Benedetta Camaiani - UniFi & INFN Firenze Piergiulio Lenzi - UniFi & INFN Firenze

- **Anomaly Detection** (AD) consists of identifying unusual patterns or deviations from the expected behavior within data.
- It is a **crucial task** in various domains such as finance, cybersecurity, and industrial maintenance: it is critical for early detection of faults, fraud, and identifying irregular trends.
- **Time series data** is common and challenging for anomaly detection, as anomalies may not be apparent in individual data points.
- Traditional Approaches vs. Machine Learning
	- Traditional methods like Threshold-based or rule-based detection often **struggle** with complex time series data.
	- Machine Learning, particularly **AutoEncoders** (AEs), provides a powerful tool for time series anomaly detection.

Examples of AD: fraud detection

Genuine transactions Entertainment of the Senate of the Traudulent transaction

— prediction

Examples of AD: medical anomalies

Abnormal

Normal

The idea:

Implementation of AEs to detect deviations from the "normal" behavior of data.

AE: a particular kind of **unsupervised** neural network capable of learning efficient codings of **unlabelled** data.

During **training**, the task is to reconstruct the input approximately, preserving only the most relevant aspects of it.

During **testing**, the AE is presented with possibly anomalous data: peaks in the reconstruction loss are probably related to anomalies.

Different types of AutoEncoders: Undercomplete

Undercomplete AutoEncoder

Encoding via dimensionality reduction The simplest architecture for constructing an AE:

- **Constrain** the number of nodes present in the hidden layer(s) of the network, **limiting** the amount of information that can flow through it.
- Provides a more powerful (nonlinear) generalization of **PCA**.
- Has no explicit regularization term we simply train our model according to the reconstruction loss.
- The only way to ensure that the model isn't memorizing the input data is to sufficiently restrict the number of nodes in the hidden layer(s).

Different types of AutoEncoders: Sparse

Sparse AutoEncoder

Encoding via sparsity constraints An alternative method for introducing an information bottleneck:

- Build the loss function such that activations within a layer are penalized.
- For any given observation, the network have to learn an encoding and decoding relying only on the activation of a small number of neurons.
- Allows for a separation between latent state **representation** and **regularization** of the network: one can choose a latent state representation (ie. encoding dimensionality) in accordance with what makes sense given the context of the data while imposing regularization by the sparsity constraint.

Different types of AutoEncoders: LSTM

LSTM AutoEncoder

More suitable for time-series

A model capable of learning the complex dynamics within the temporal ordering of input sequences.

- LSTM is a type of Recurrent Neural Network (RNN) in which each neuron is built as multiple copies of the same unit.
- Each unit uses an internal memory to remember or use information across long input sequences.
- Each layer see not one sample at a time but a certain window of them

Application of AD to HEP: Data Quality Monitoring @ CMS

LHC and the CMS experiment

• The CMS experiment is one of the main detectors installed at the LHC and it is a multi-purpose apparatus for high energy physics

- The Large Hadron Collider (LHC) is the largest and most powerful particle accelerator in the world, situated at the CERN near Geneva
- The LHC accelerates two beams of protons that are made to collide at four points, around which the main experiments are located

CMS sub-detectors

- CMS is composed of a complex system of sub-detectors to detect electrons, photons, muons and hadronic jets
- The only particles that escape from detection are neutrinos but their presence can be deduced by the imbalance of the total transverse momentum (MET)

LHC & CMS operations

- \vee LHC operates in «fills»: each fill is a proton injection inside the accelerator. CMS runs during LHC fills.
- ✔ Data gathered in luminosity sections, **lumisections** in short (LSs), corresponding to ∼**23 s of data taking**.
- ✔ LSs are grouped in **runs**.
- \triangleright Issues in the different detectors can arise due to various factors, such as radiation damage, electronic noise, and aging of components.
- ◆ **Data Quality Monitoring (DQM)** essential for data quality assessment. \bullet 12

Data Quality Monitoring (DQM)

The monitoring of data quality is crucial both **online**, during the data taking, to promptly spot issues and act on them, and **offline**, to provide analysts with datasets that are cleaned against the occasional failures that may have crept in.

The quantities that are checked are usually referred to as **Monitor Elements** (MEs)

MEs frequently used for DQM purposes are for example quantities pertaining to **hadronic jets** and **missing transverse momentum** (**MET**): *Jet e missing energy* (JME) ME

For the specific case of quantities pertaining to hadronic jets and MET, an issue in a few LSs would cause the entire run to be flagged as problematic (*BAD*), and thus removed from the pool of "good-for-analysis" data (*GOOD*).

In the plot: histograms of a ME (MET Significance) **for three different runs** chosen as example, one flagged *GOOD* (**green**) and two presenting an anomaly, therefore flagged *BAD* (**blue** and **orange**).

The possibility of accumulating MEs per-LS enables the saving of higher amounts of data from runs presenting only a limited set of anomalous LSs.

Per-LS data is analysed offline during **Data Certification** (DC), i.e. the final step of quality checks performed by DQM on recorded collision events

If we look at a given run with a per-LS granularity, we can identify the LSs showing the anomaly and flag them as *BAD*

Given the **high number** of LSs to be analyzed for each run, an **automated approach** for DC is required

AEs can represent the perfect tool for this purpose **15**

Implementing AEs for per-Lumisection AD

Develop a **model** capable of analyzing problematic runs with a per-LS granularity, filtering out anomalous LS data (flagging it as *BAD*) and retaining what's *GOOD.*

- Based on AEs.
- Trained on *GOOD* data.
- Fested on anomalous or possibly anomalous runs.
- Optimized using known anomalies.
- Able to perform well independently of the drop in luminosity during the run.

How does it work?

- **Training** on non-anomalous data from *GOOD* runs: histograms of specific MEs are fed to the model with a LS granularity to allow the AE to learn a **«normal» non-anomalous behavior** of that specific ME.
- Minimization of the **reconstruction loss**, a measure of the distance between the input and output of the AE: $MSE = \sum_{i=1} (\gamma_i - \hat{y}_i)^2/n$, where **y** and \hat{y} are respectively the input and the output of the AE and *n* is the #bins.

Possibly anomalous runs under investigation are tested by looking again at the reconstruction loss: **peaks** in this function **indicate LSs containing histograms that deviate from the learned behavior**.

Deviations from the learned «normal behaviour» could in principle be **detected**.

Inputs & rescaling

- We look at per-LS data for a specific run (train or test).
- Some of the MEs used are:

'CHFrac_highPt_Barrel', 'CHFrac_mediumPt_Barrel', 'JetMass_highPt_Barrel', 'MET', 'METSig', 'METPhi'.

● Get rid of luminosity dependence

For each ME the input is structured by adding the luminosity of the given lumisection as a **further bin**, resulting in an input shape:

 $(HLSs, #bins+1)$

● The **input is rescaled** to the [0,1] interval bin by bin:

 $input - min input$ run $input =$ $max input - min input$ run run.

One BAD run

One major jump in **MSE** for 'MET': the model was unable to reconstruct correctly the input for the following test lumisections.

The corresponding histogram contains a "bump" anomaly that the AE **couldn't reconstruct**, leading to the MSE jump.

All the following lumisections contain the evolution of this anomaly.

 A *metric* must be chosen in order to perform the **optimization** of the different architectures.

\rightarrow we quantify how steep is the step in the MSE obtained by *testing* the AEs on runs containing known anomalies.

We want our *metric* such that:

- 1. It increases with the size of the step.
- 2. It decreases with standard deviation of the MSE before the step.

$$
metric = \frac{|mean(MSE_{after}) - mean(MSE_{before})|}{stddev(MSE_{before})}
$$

Hyperparameters to be optimized

- encoding_dim
- encoding_dim_2
- batch_size

Optimized:

encoding_dim = 103 encoding_dim_2 = 82 batch_size = 42

learning_rate = 10^{-7}

Summary

A few relevant points:

- **Anomaly detection** is important both in the discovery of **relevant patterns** and in maintaining **data quality** and reliability across diverse applications, included **HEP**.
- Challenges are posed by anomalies in large-scale apparatuses, especially in **complex systems** like the CMS detector at CERN.
- Detecting anomalies at a finer granularity, specifically at the per-LS level, to enhance precision and recovery of **valuable** data.
- **Automation** for per-LS analysis: necessary due to the high number of LSs.
- The adoption of **machine learning** as a powerful solution for anomaly detection, considering its ability to handle complex patterns and large datasets.
- **AutoEncoders** as a robust unsupervised learning technique for anomaly detection, able to capture complex patterns within data, in particular **temporal sequences of histograms**.