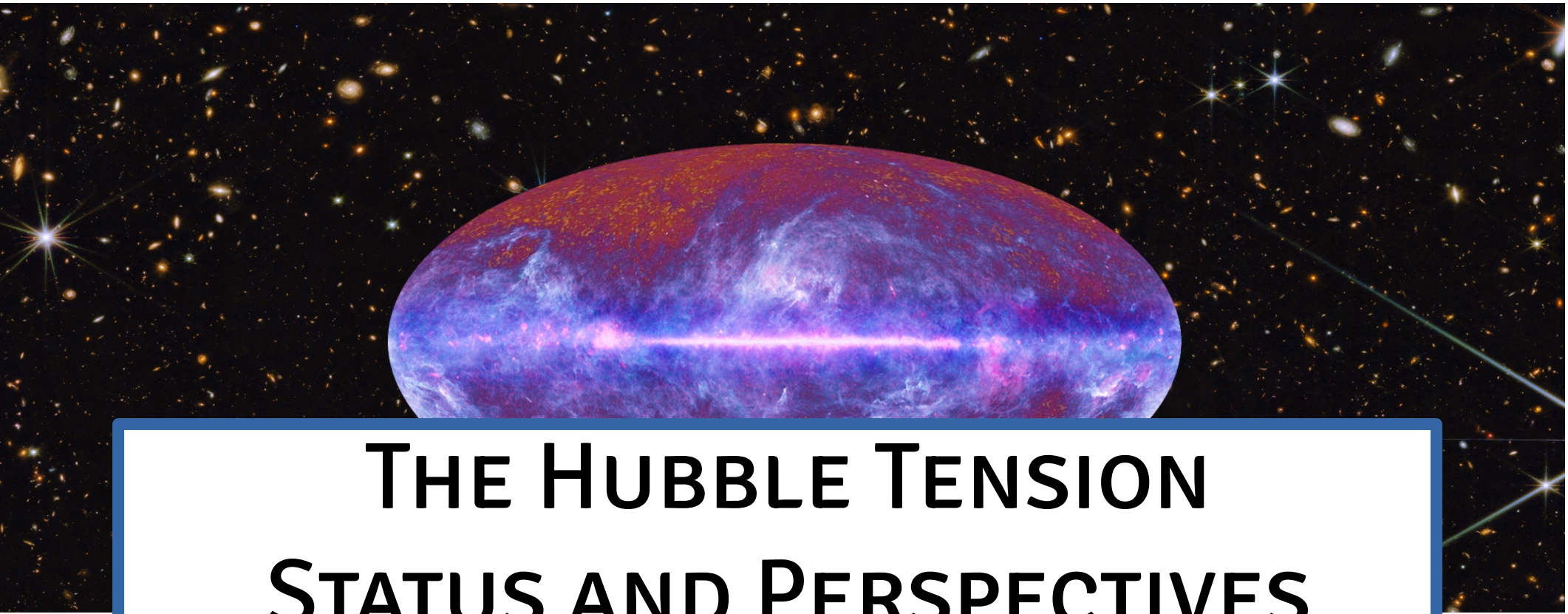




European Research Council  
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Institut de Ciències del Cosmos  
UNIVERSITAT DE BARCELONA



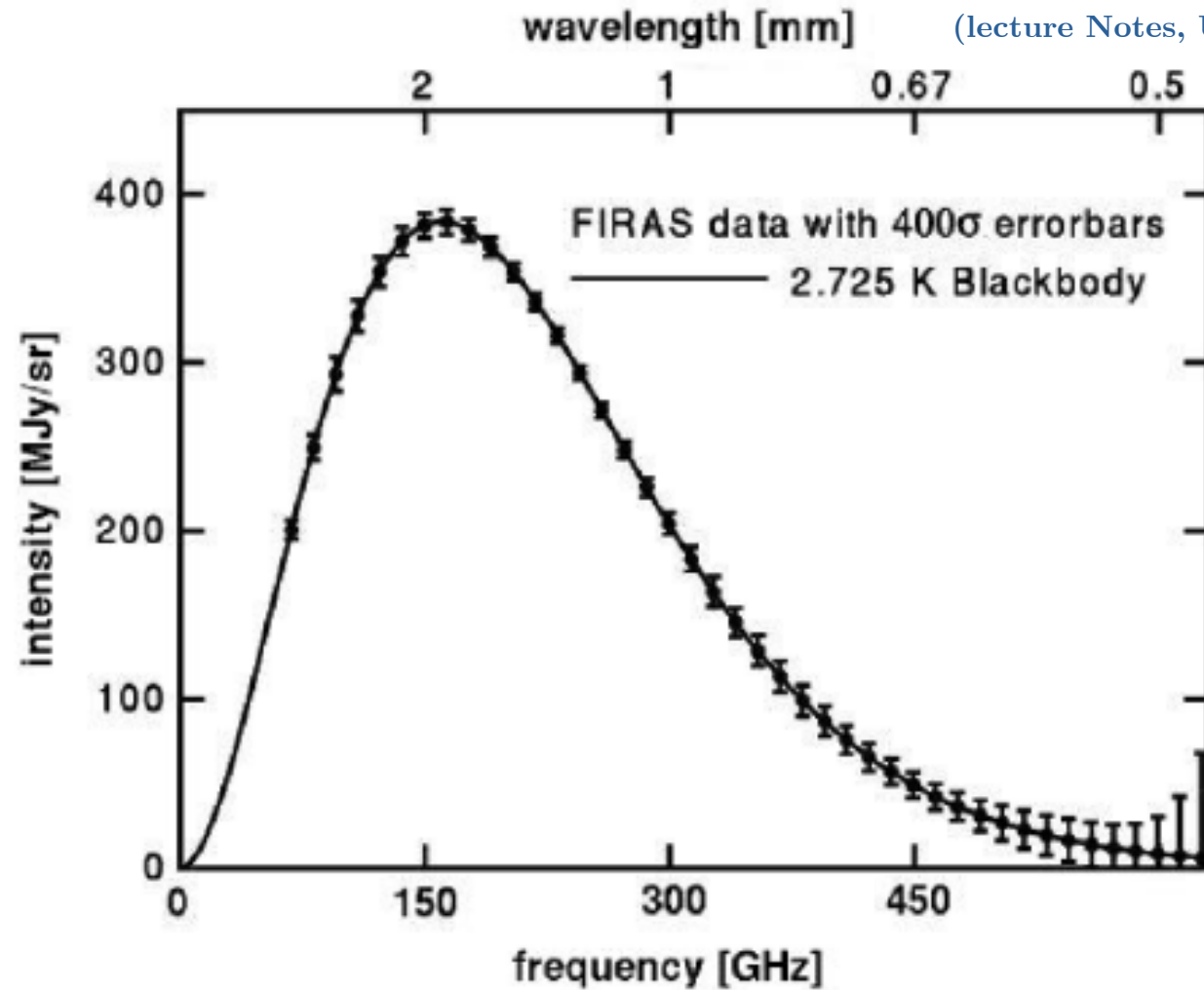
# THE HUBBLE TENSION STATUS AND PERSPECTIVES

## IN THIS TALK:

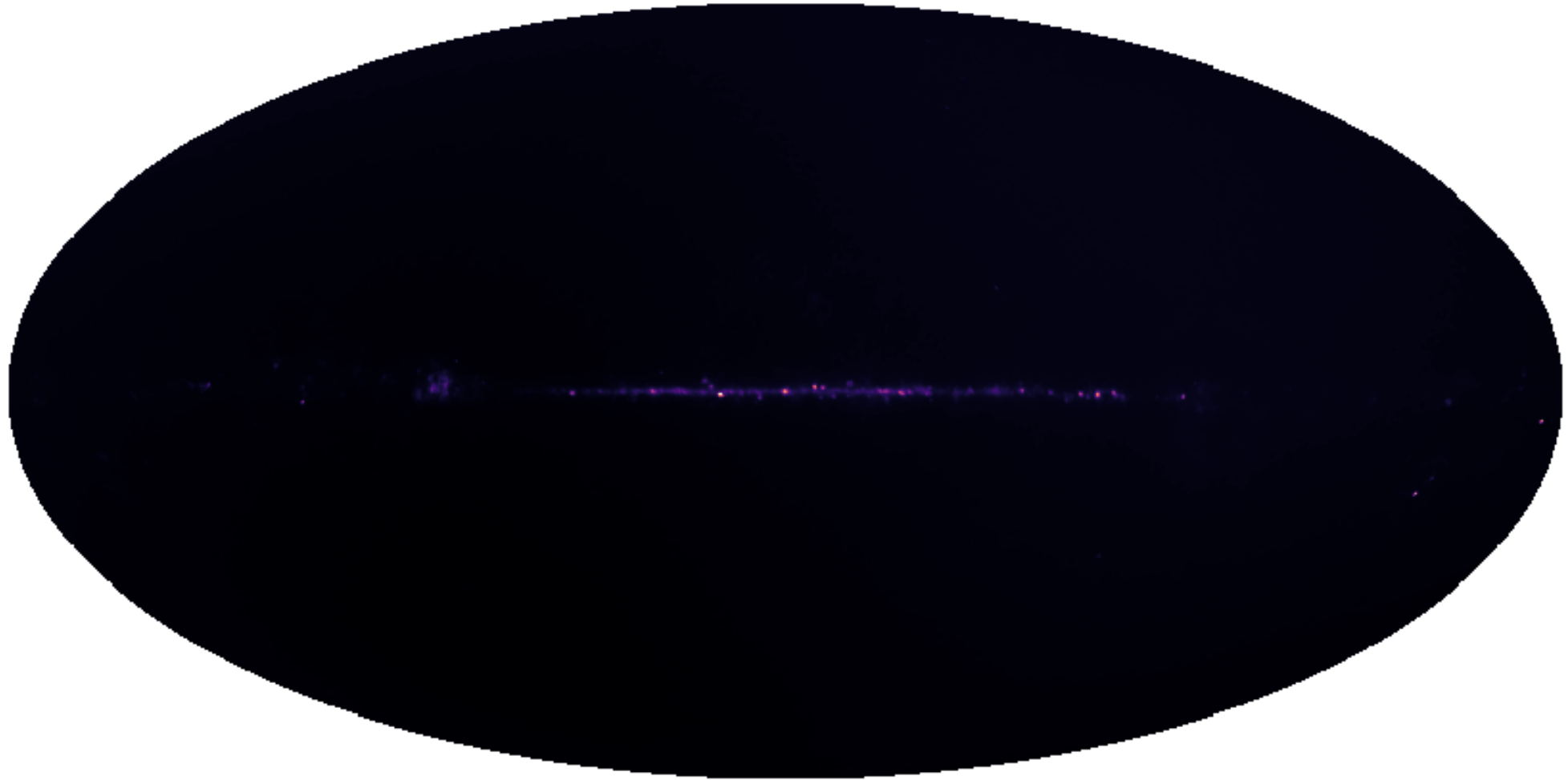
- What is the Hubble tension?
  - The CMB side
  - Local distance ladder and standard candles
- Probes of the Hubble tension
  - BAO+BBN
  - Other probes of the expansion rates
- What can we expect in the future?

# THE CMB

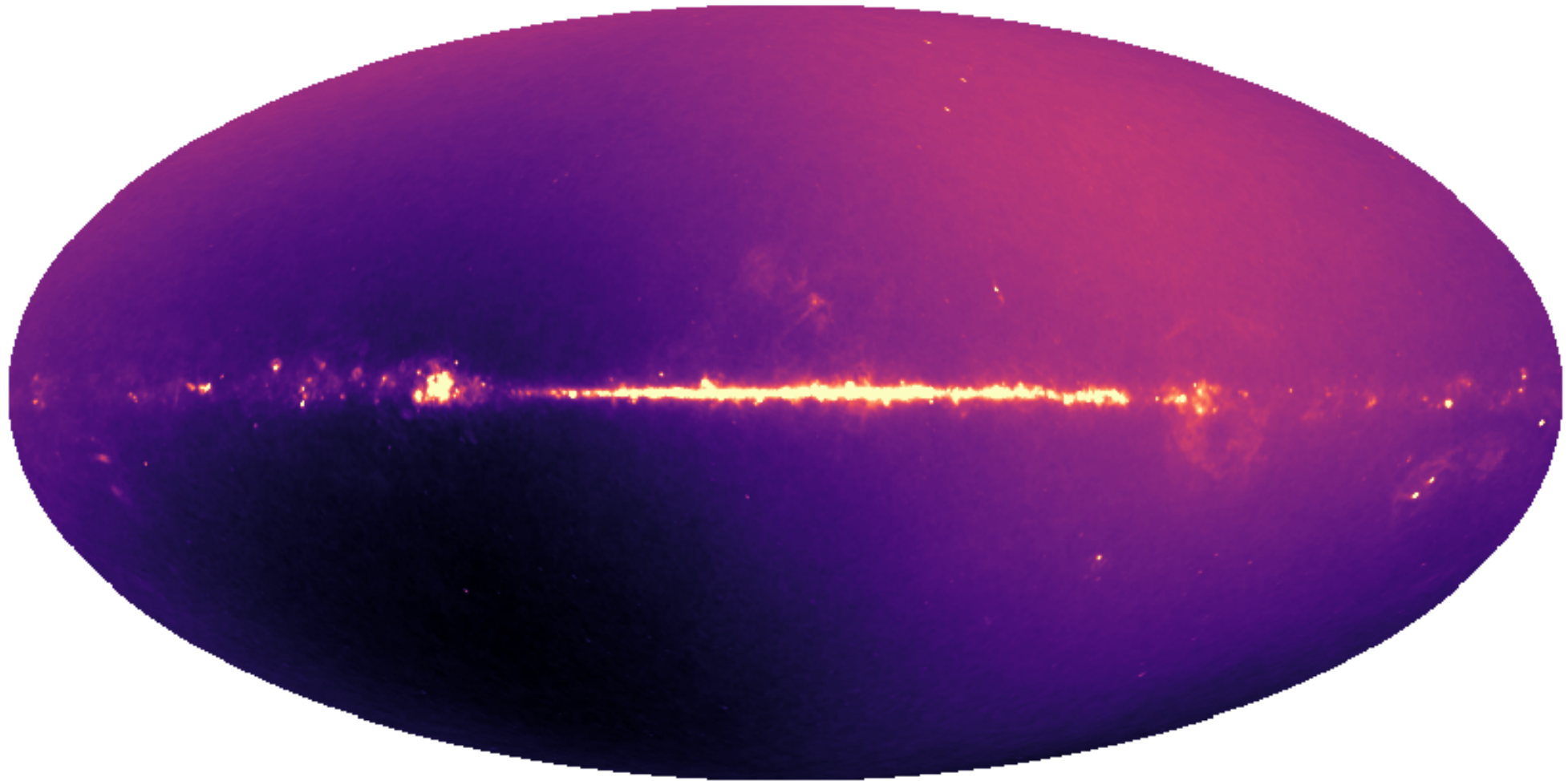
M. Bartelmann: Observing the Big Bang  
(lecture Notes, University of Heidelberg)



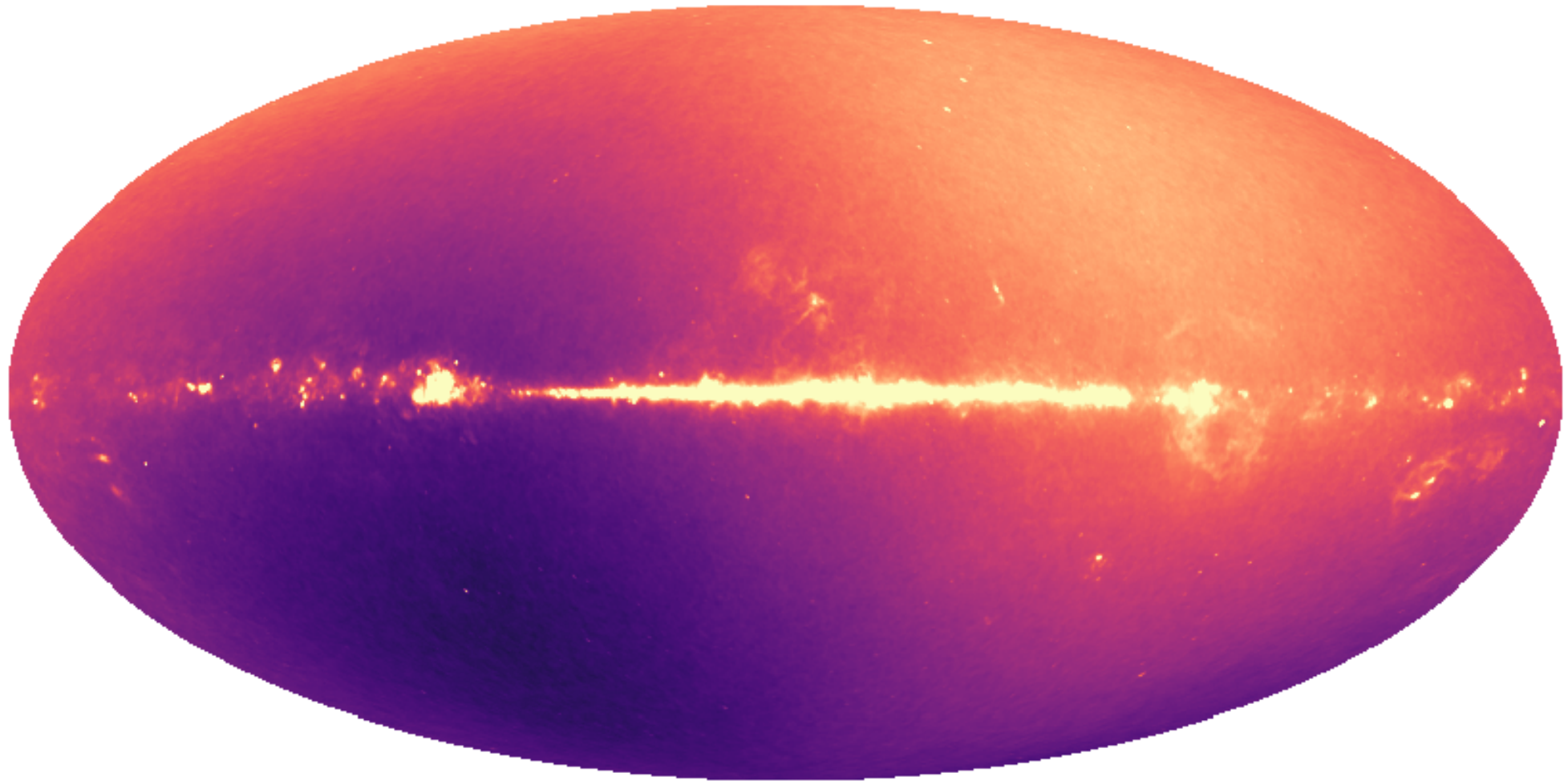
Beyond-Planck CMB map (uncorrected) , 30GHz



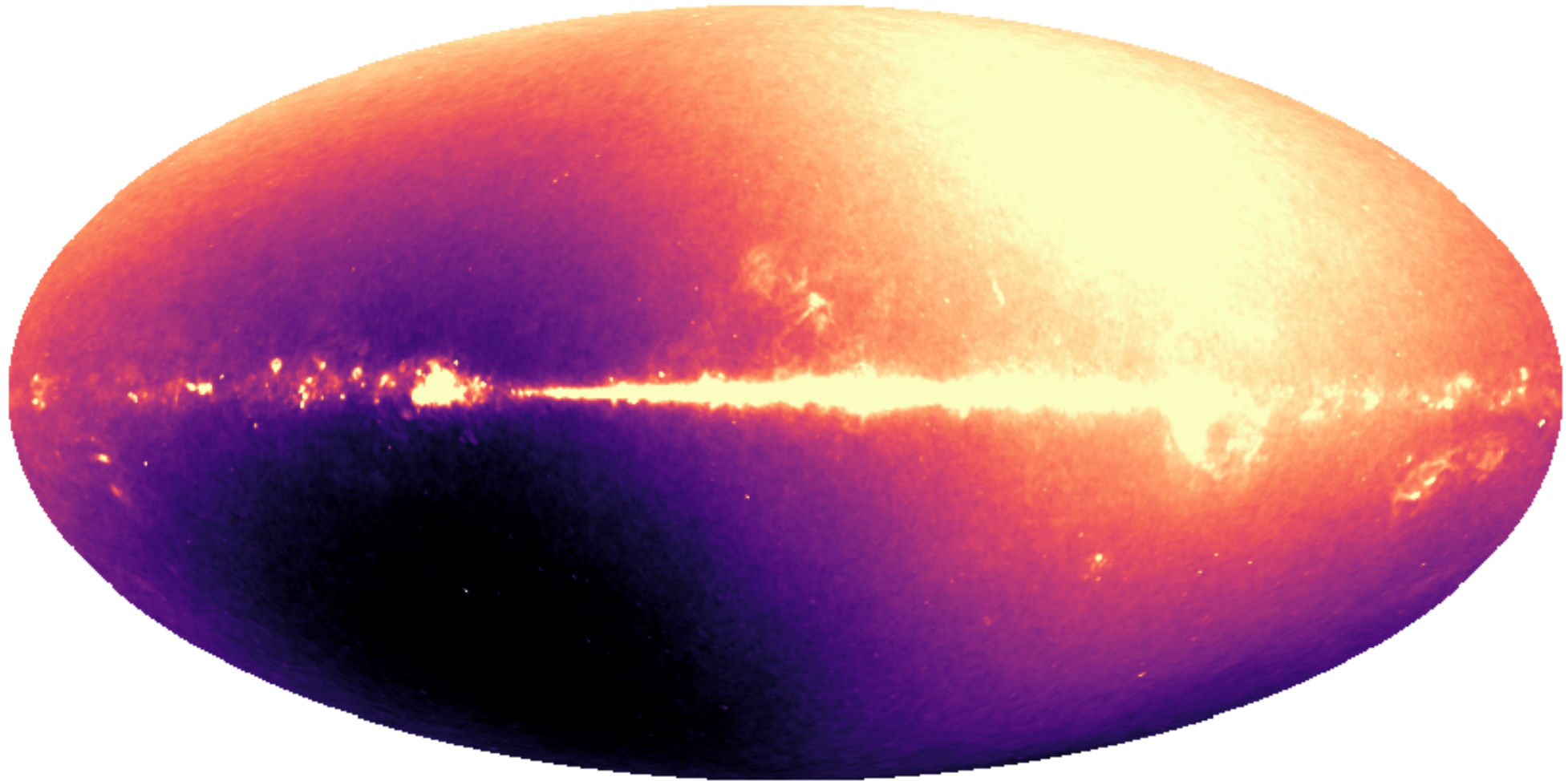
Beyond-Planck CMB map (uncorrected) , 30GHz



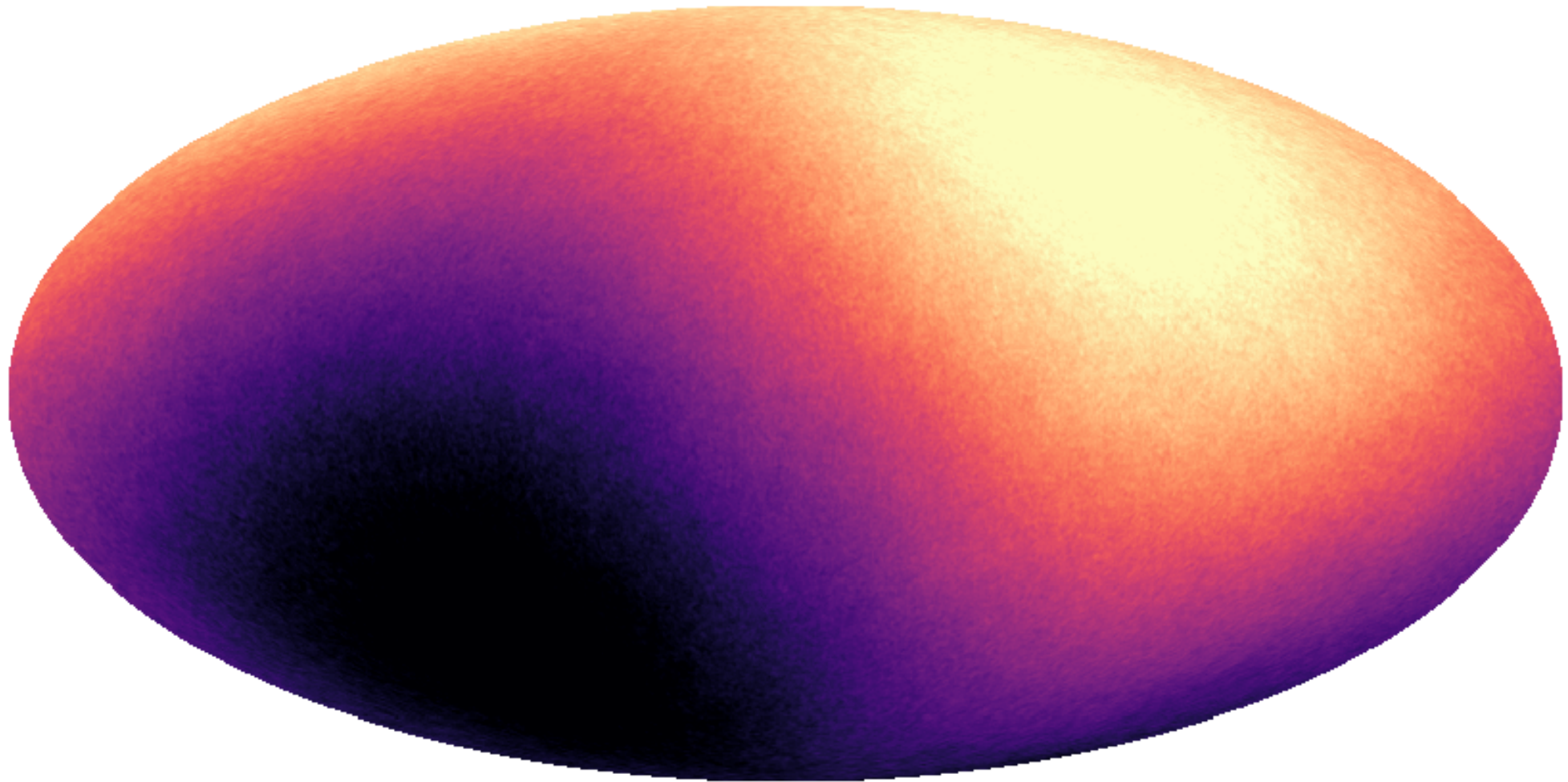
Beyond-Planck CMB map (uncorrected) , 30GHz



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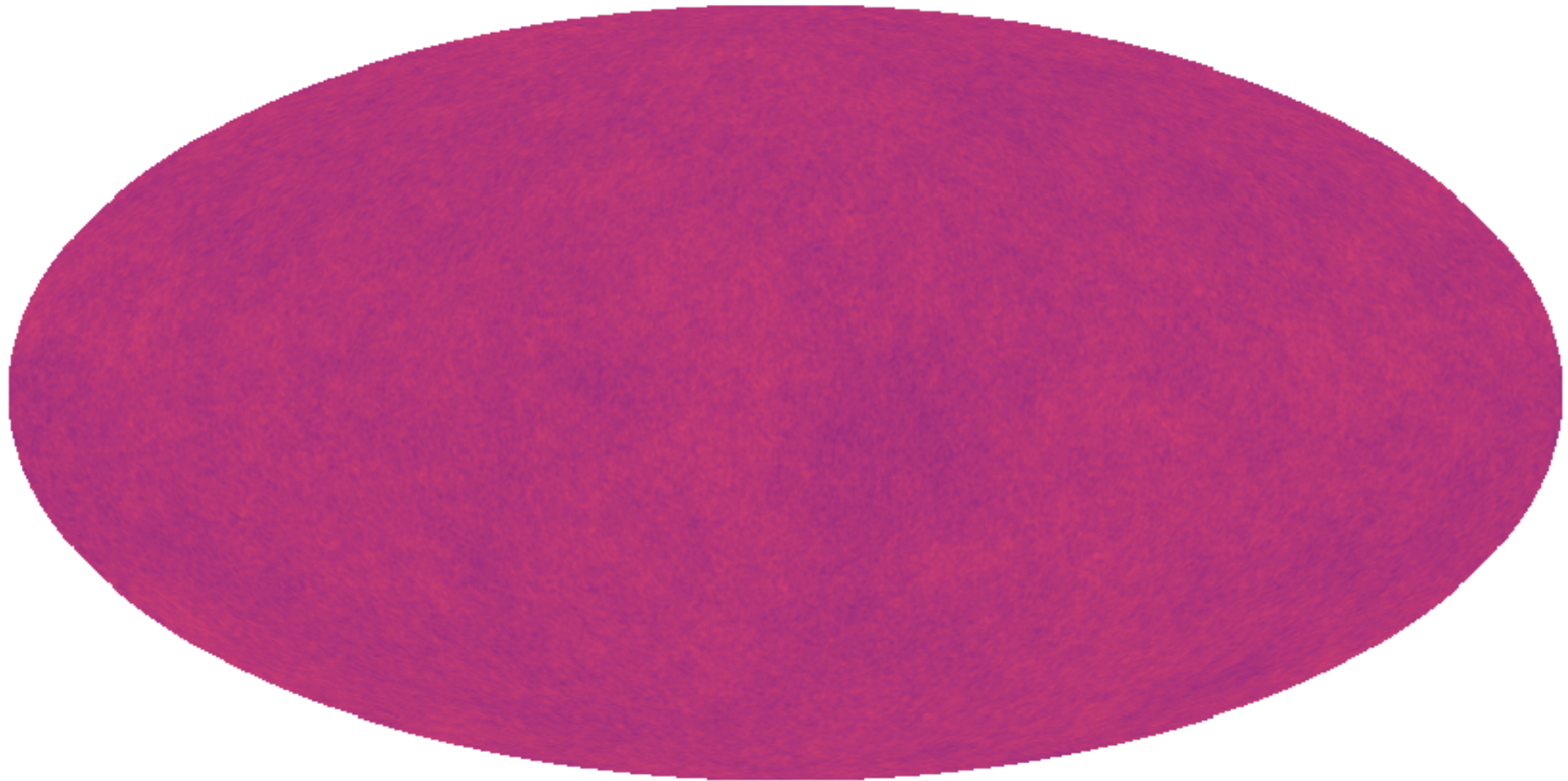


Beyond-Planck CMB map (foregrounds removed) , 30GHz

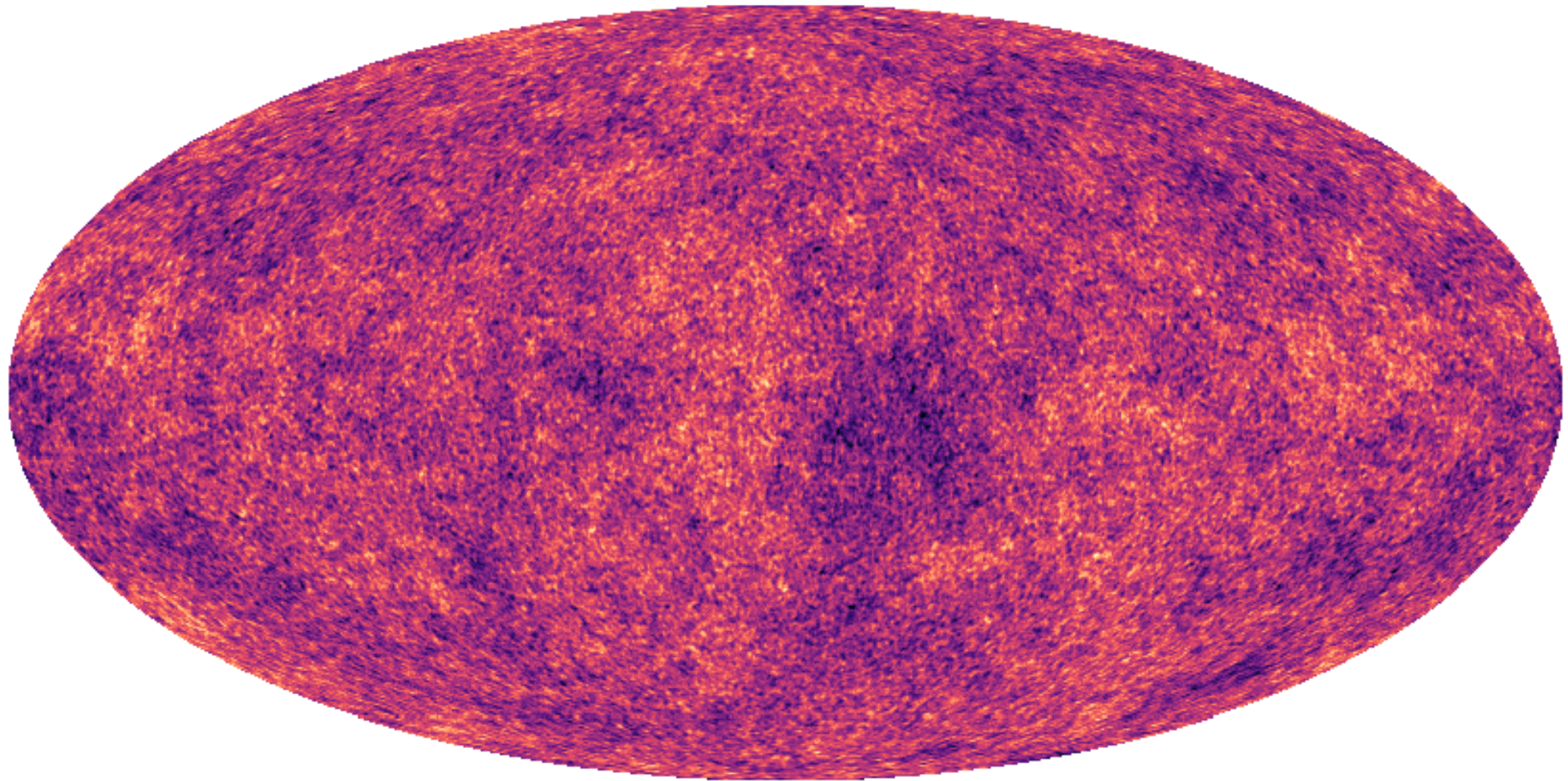




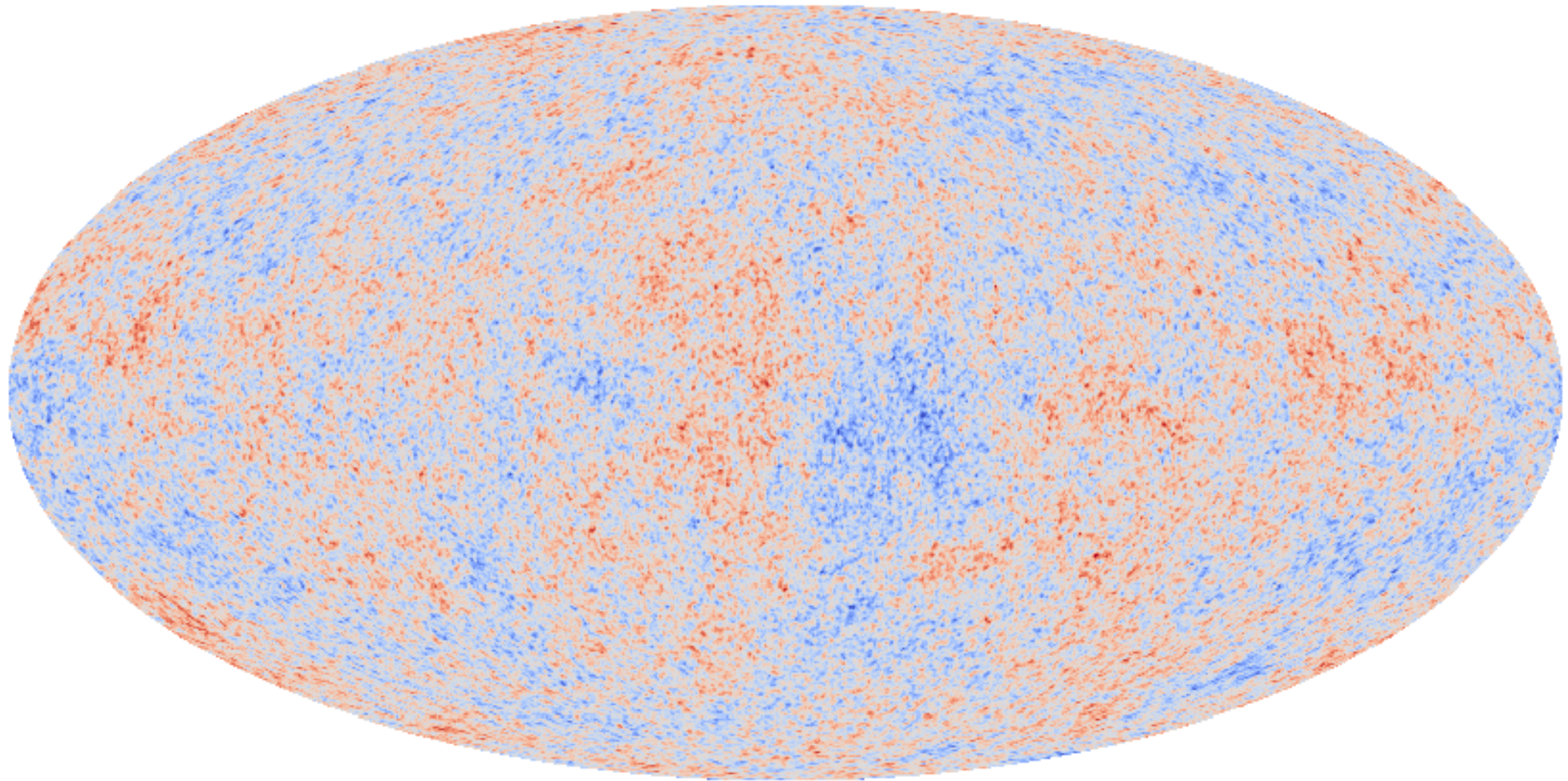
Beyond-Planck CMB map (foregrounds, dipole removed) , 30GHz



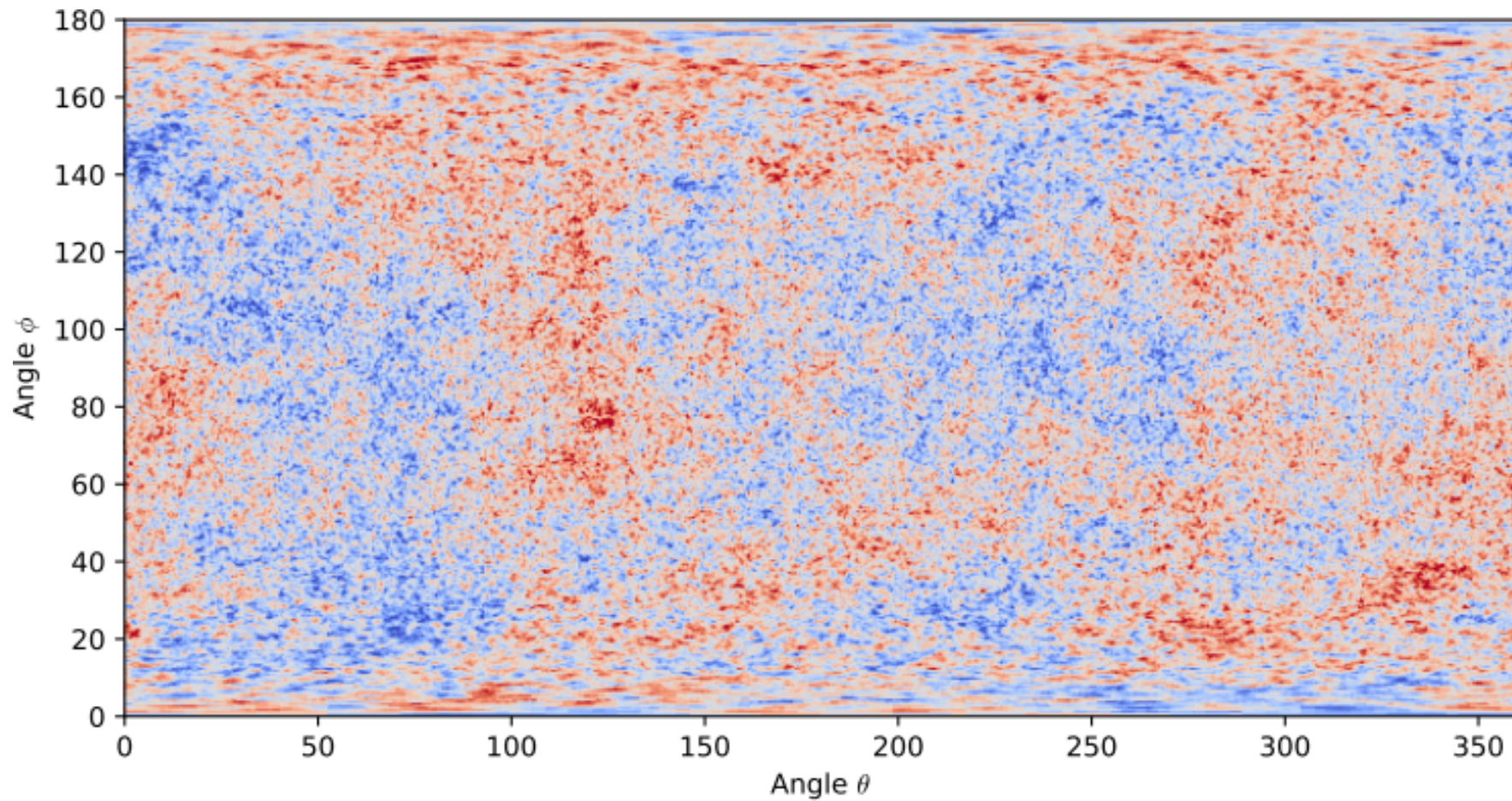
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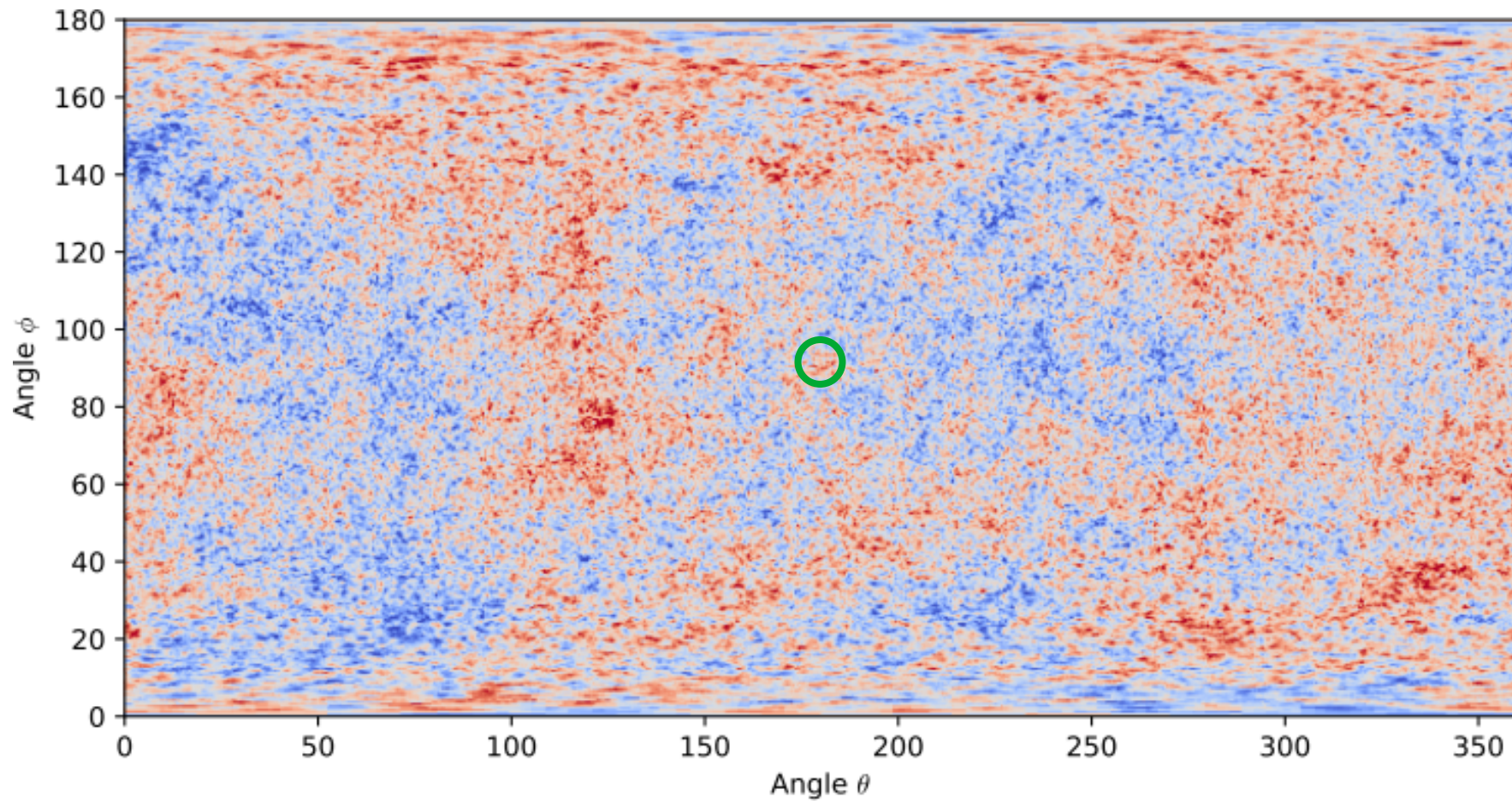
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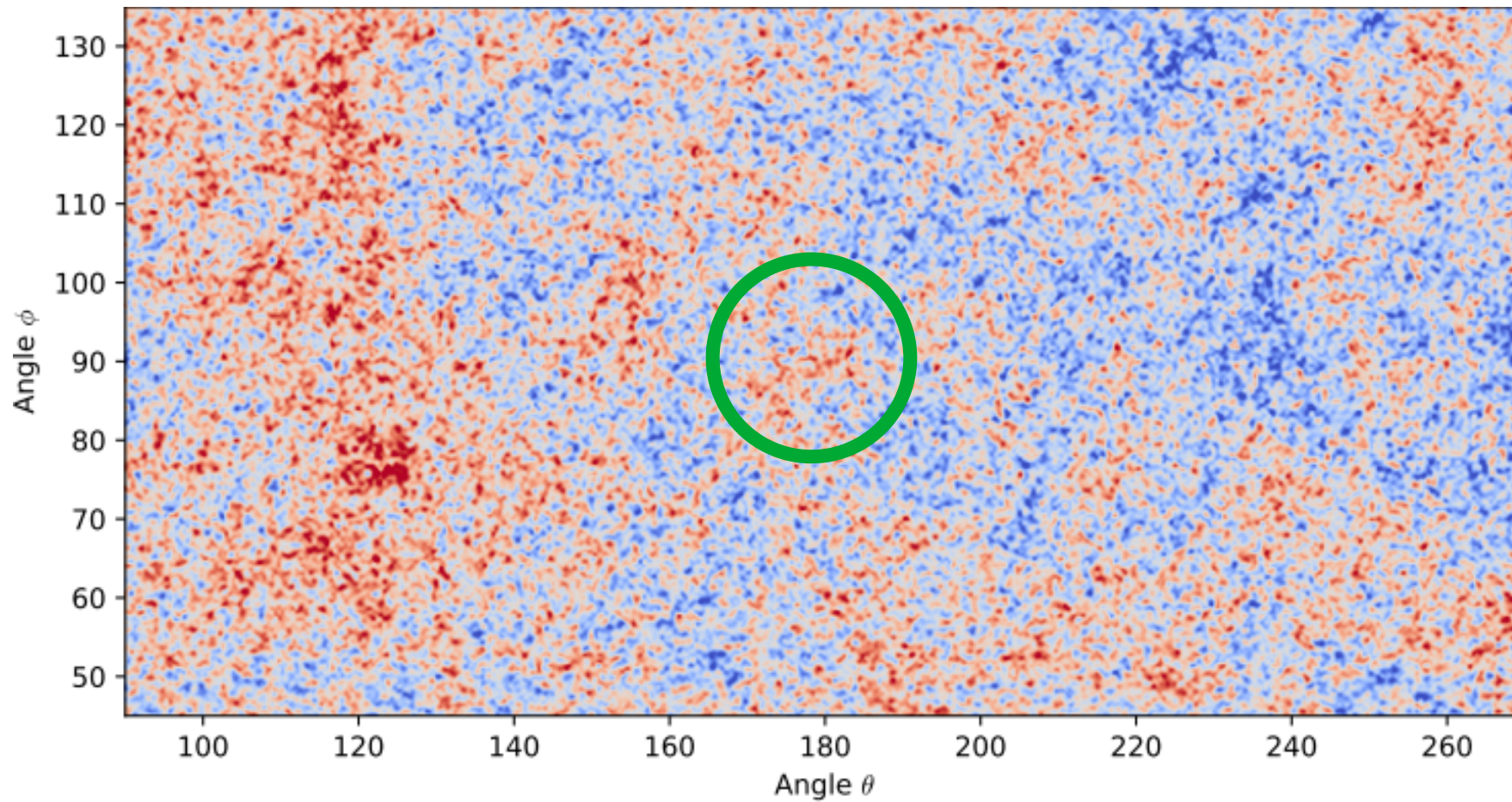
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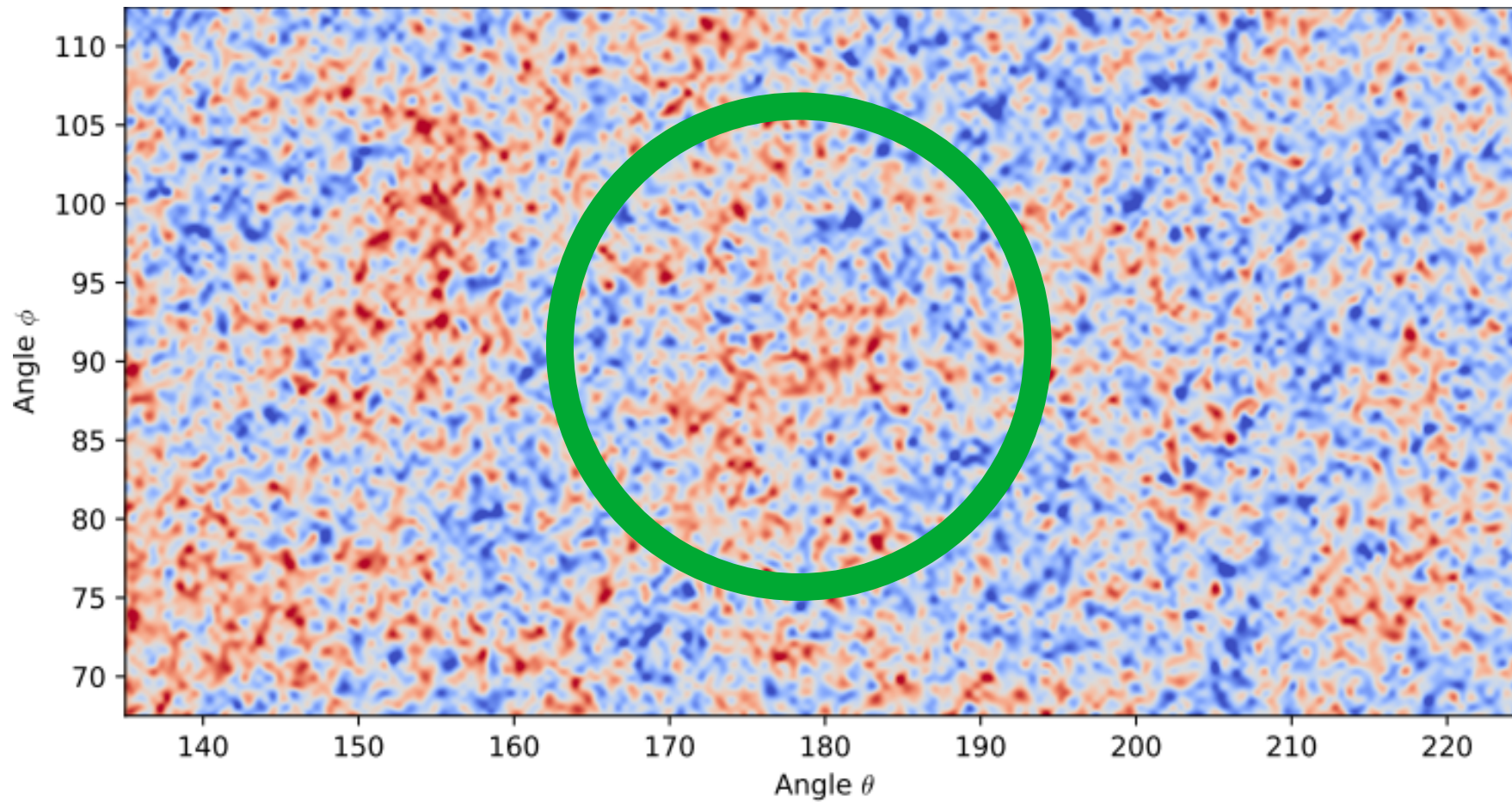
# THE CMB



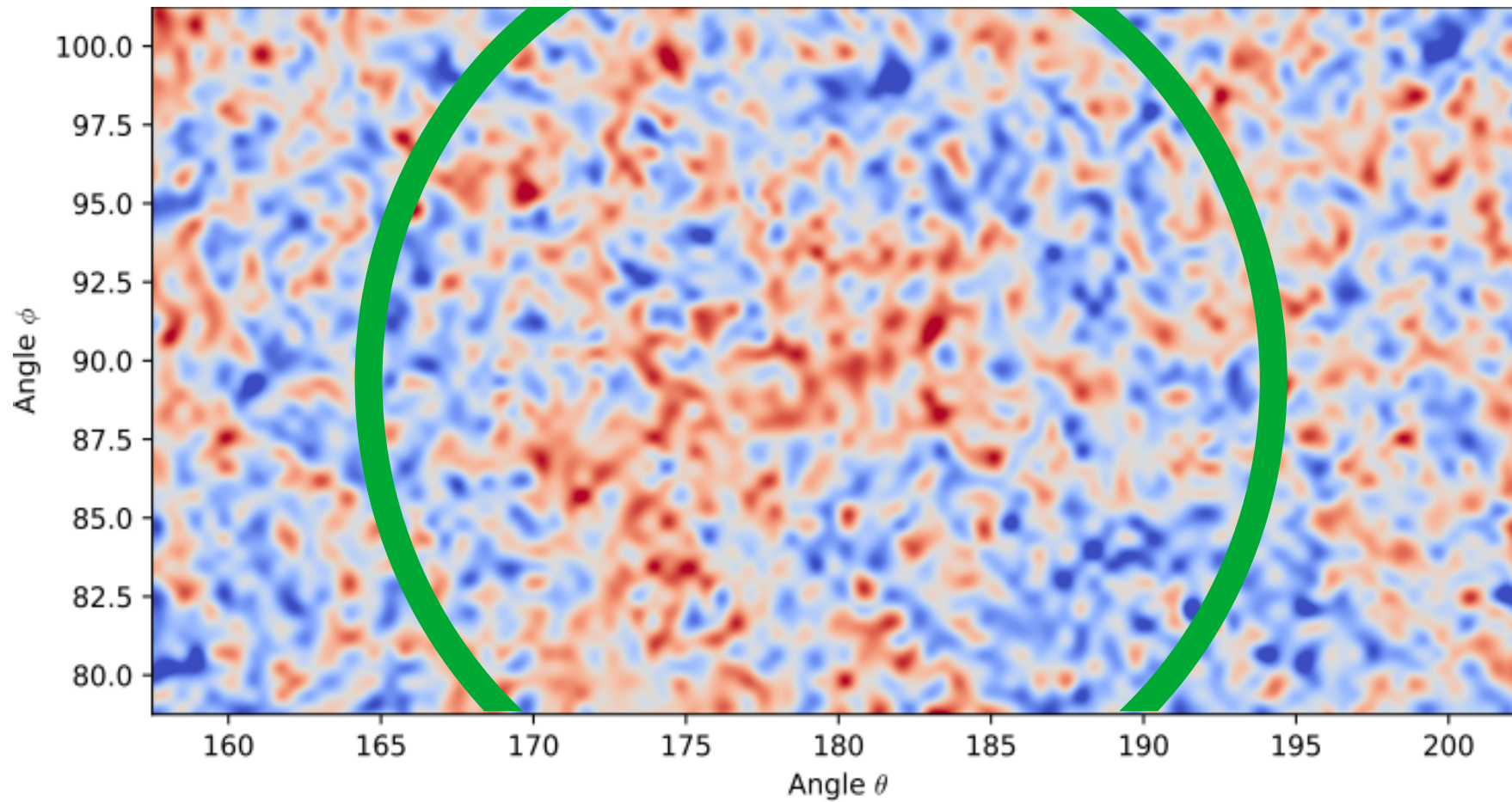
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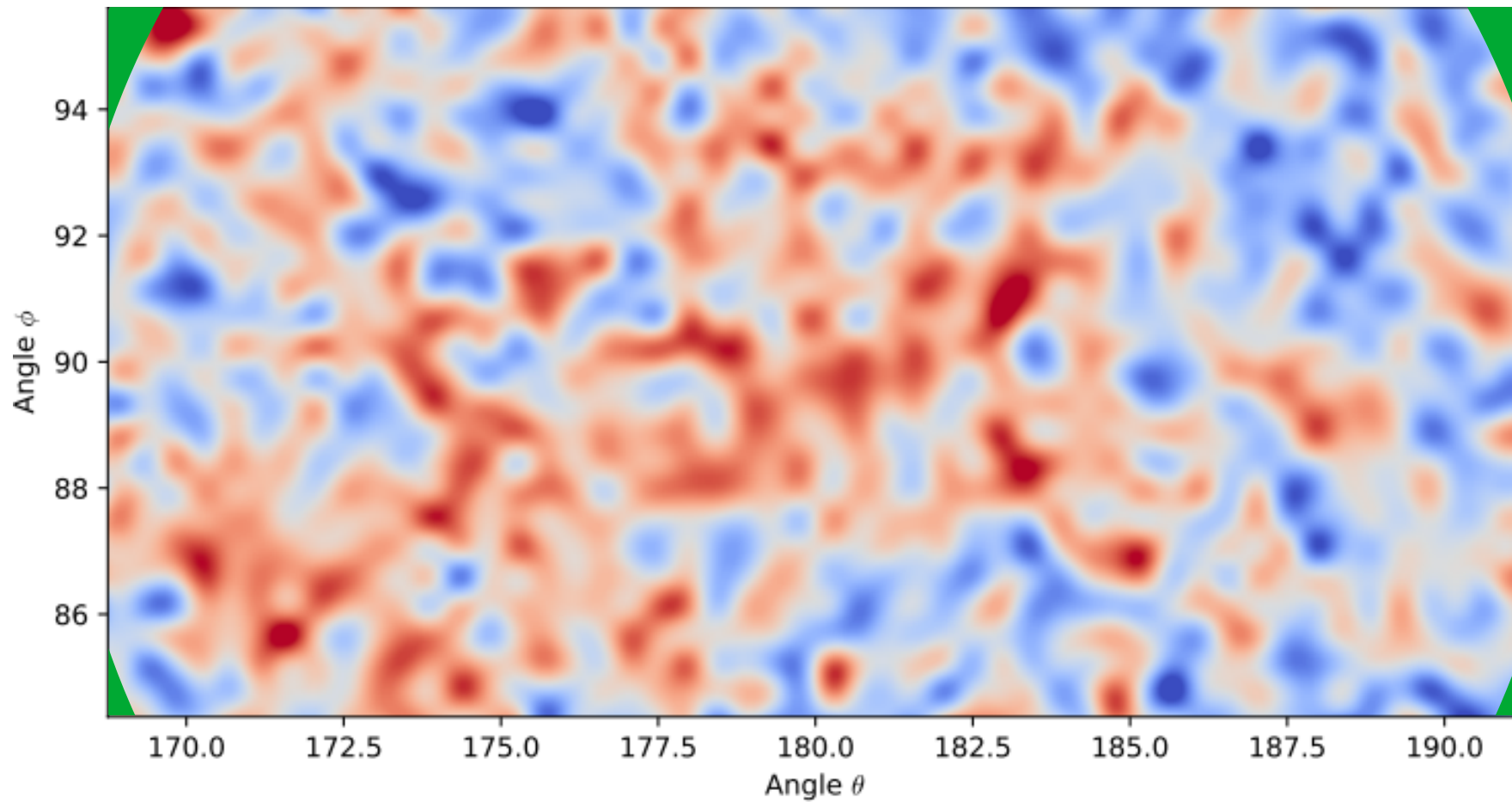


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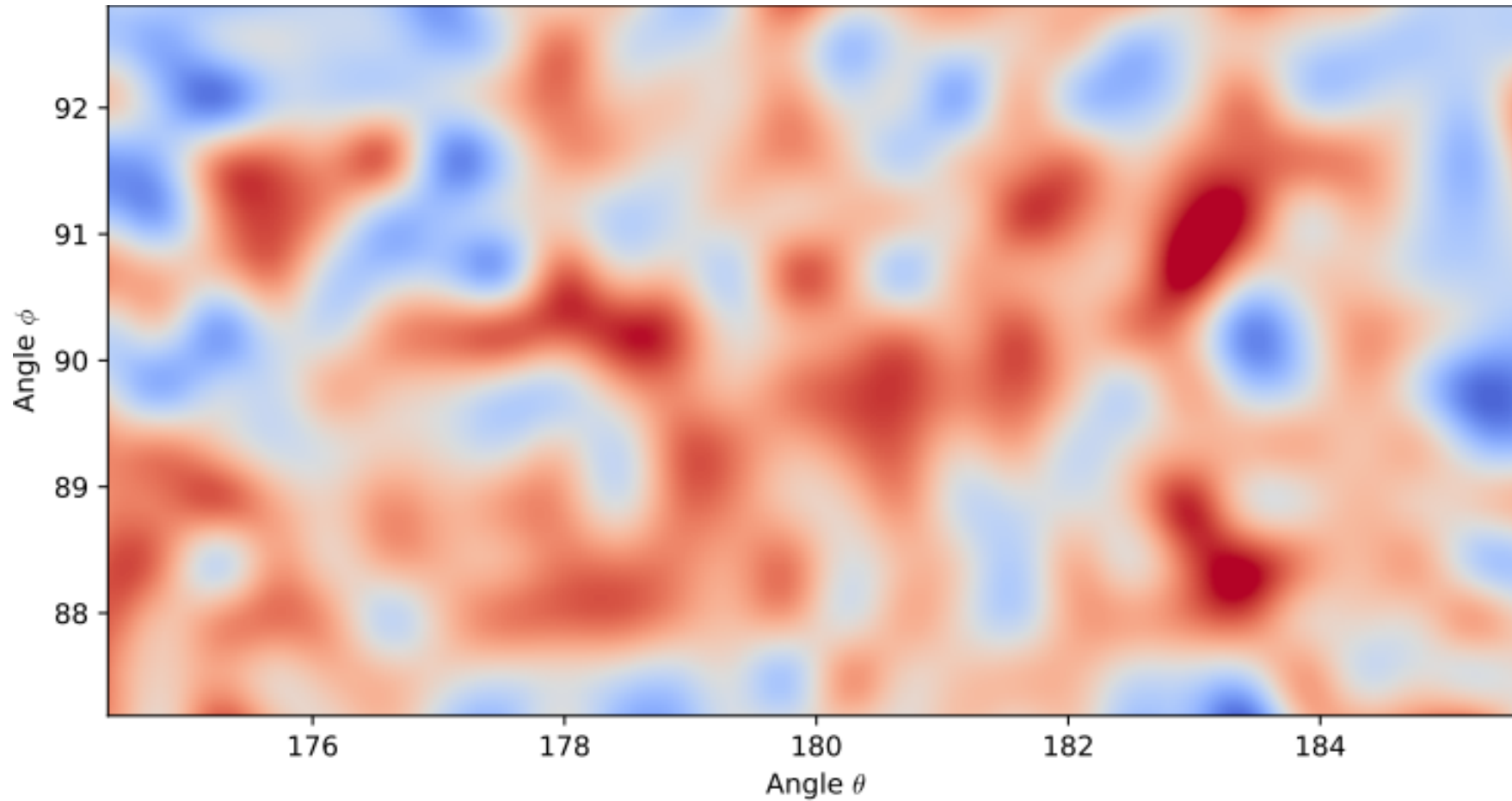




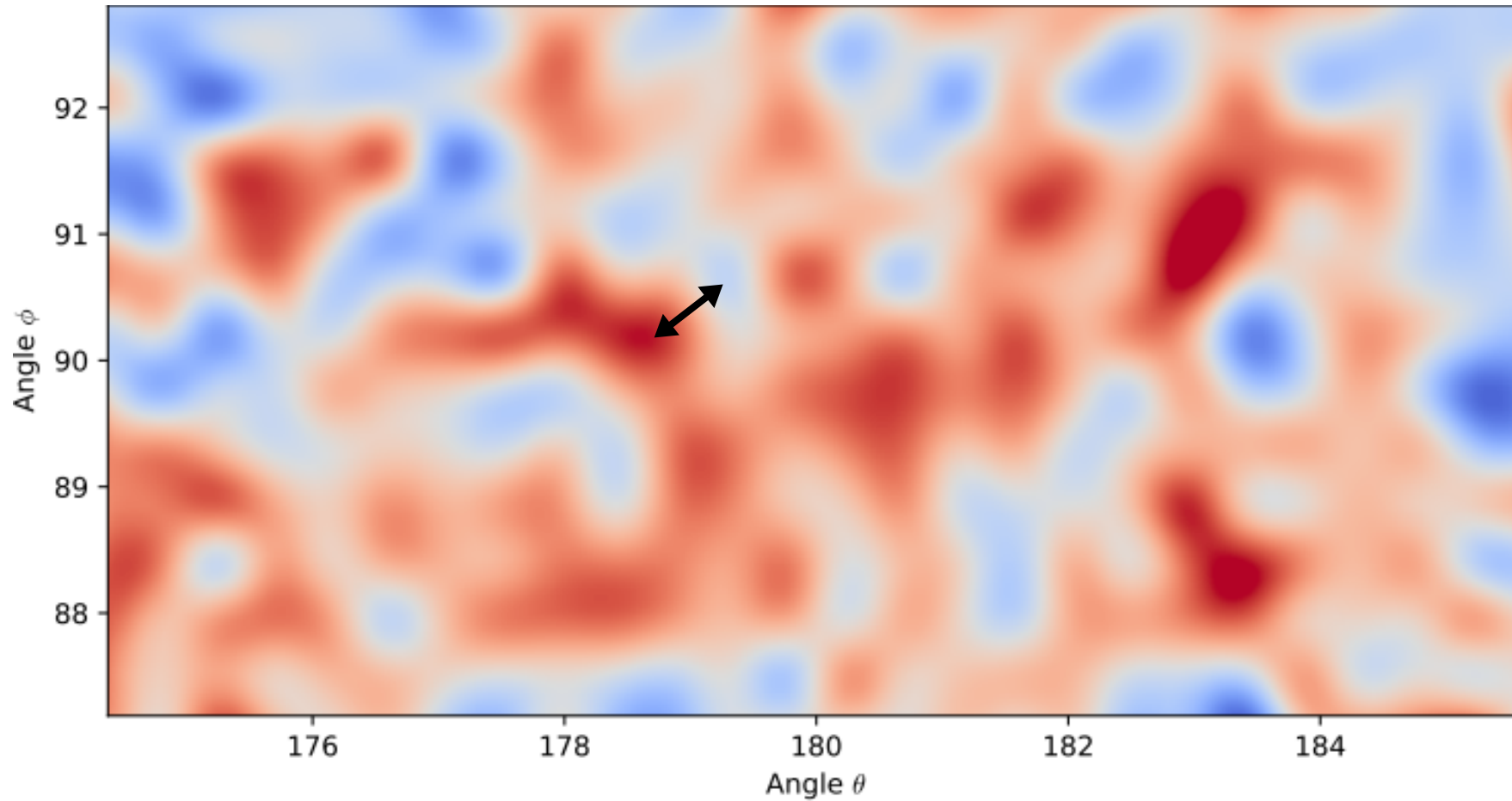
# THE CMB



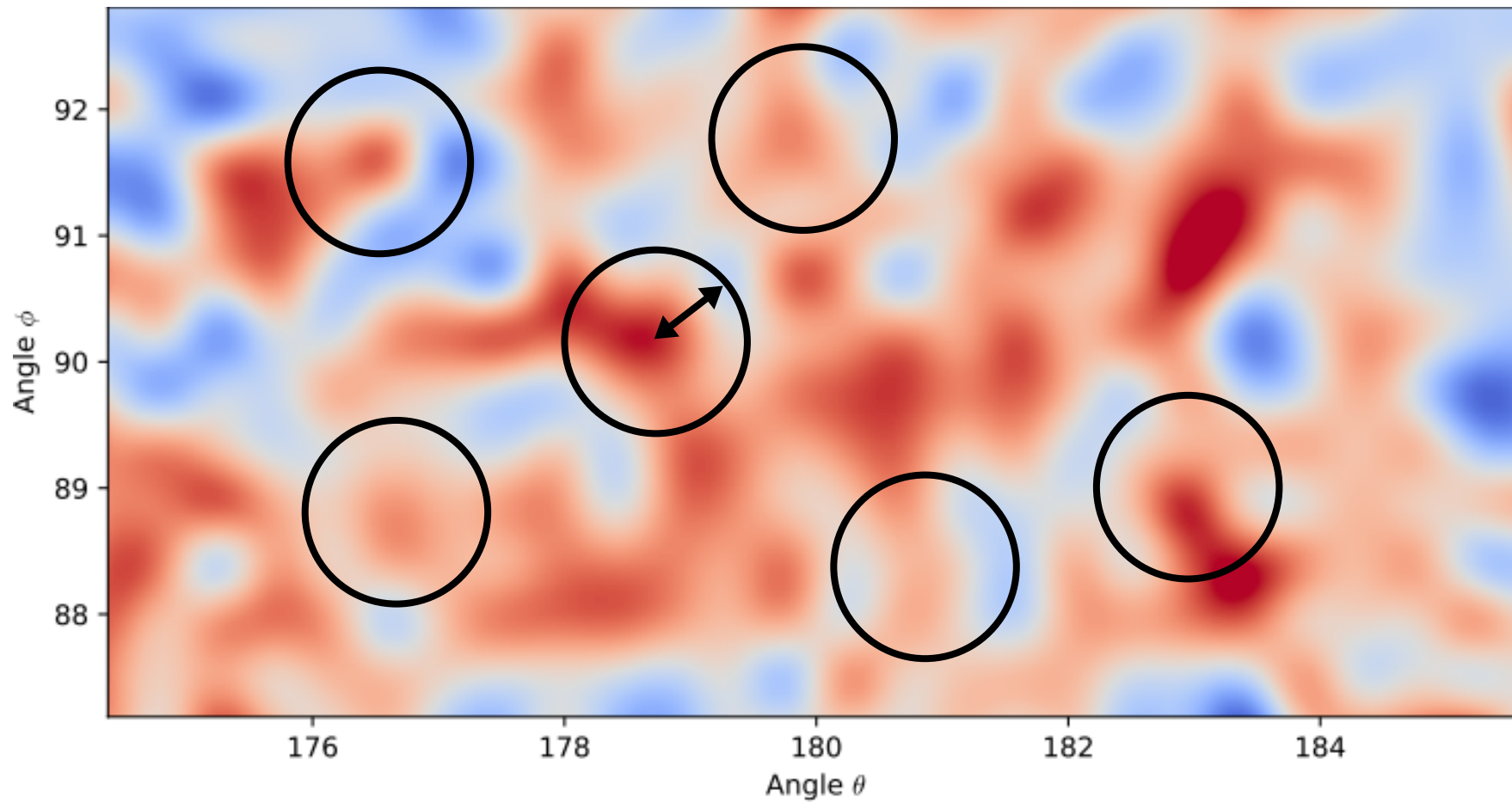
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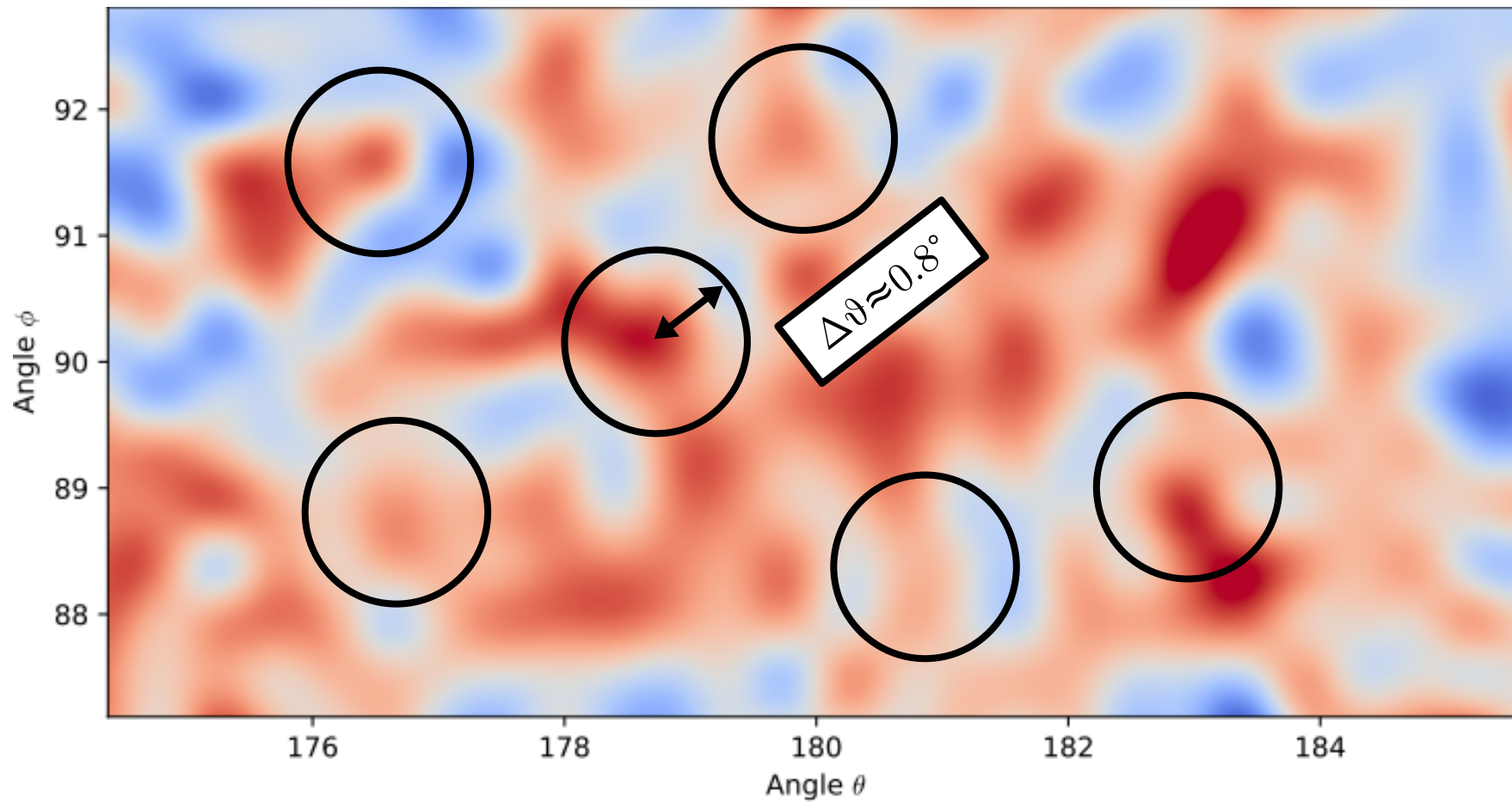
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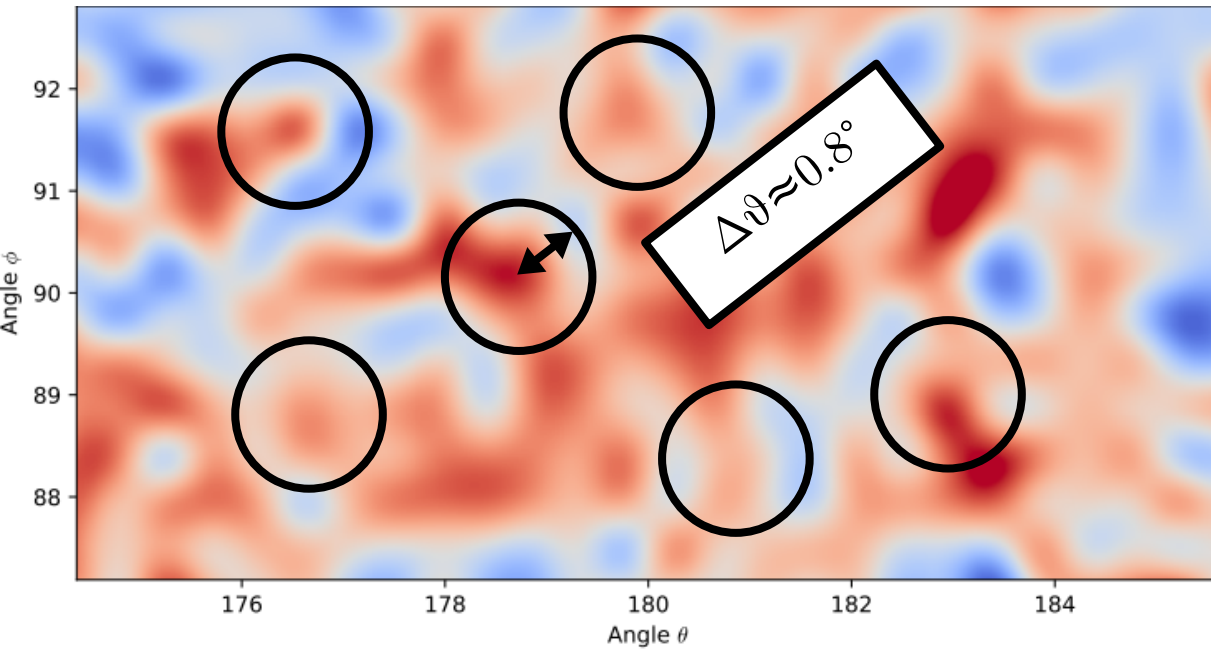
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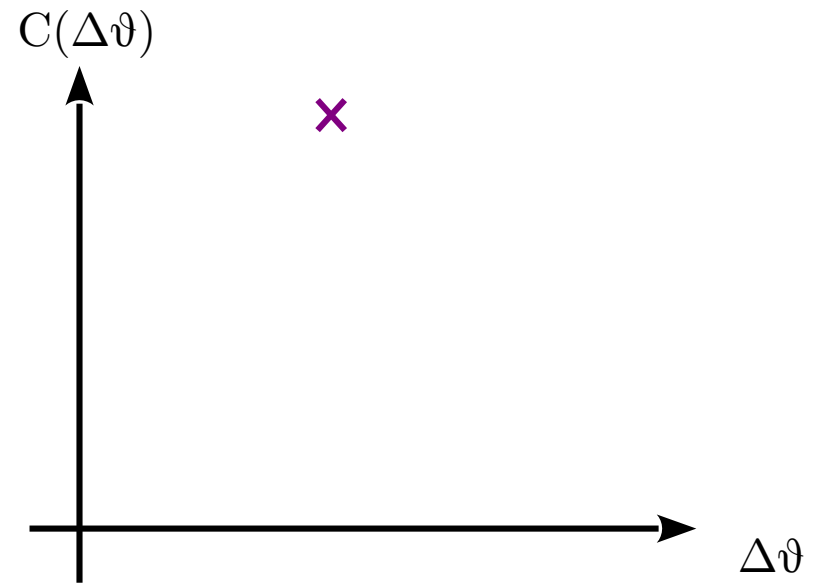
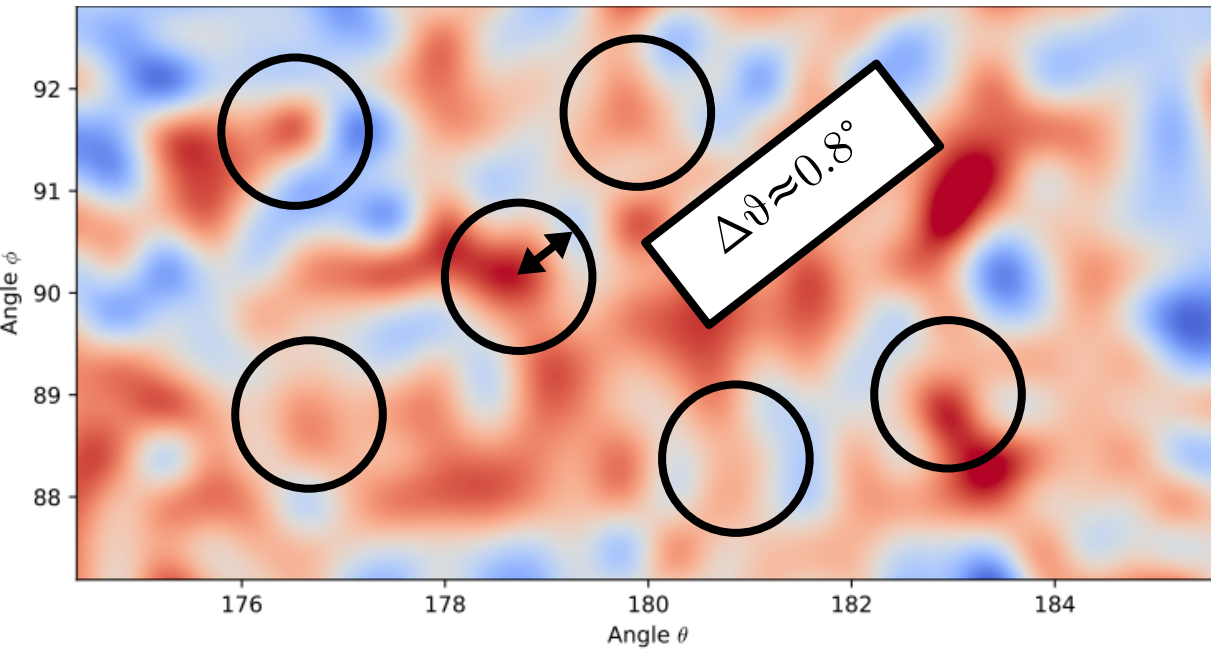
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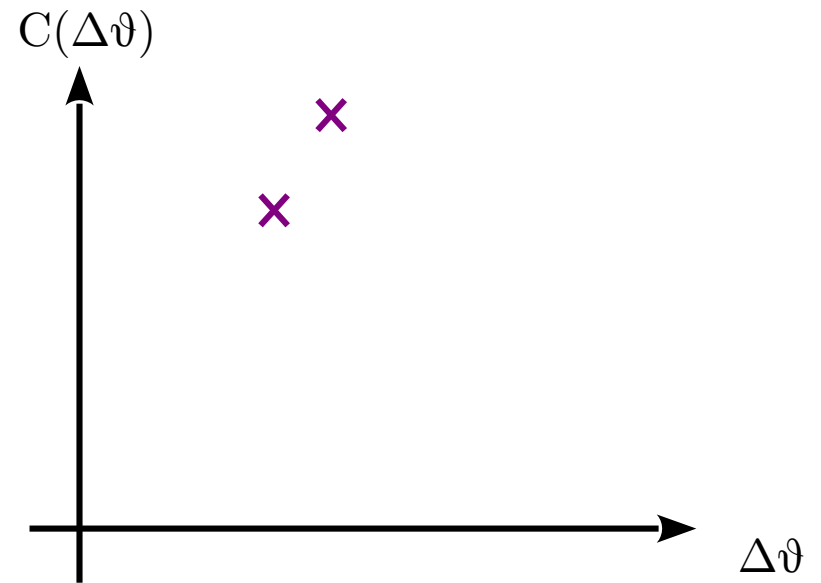
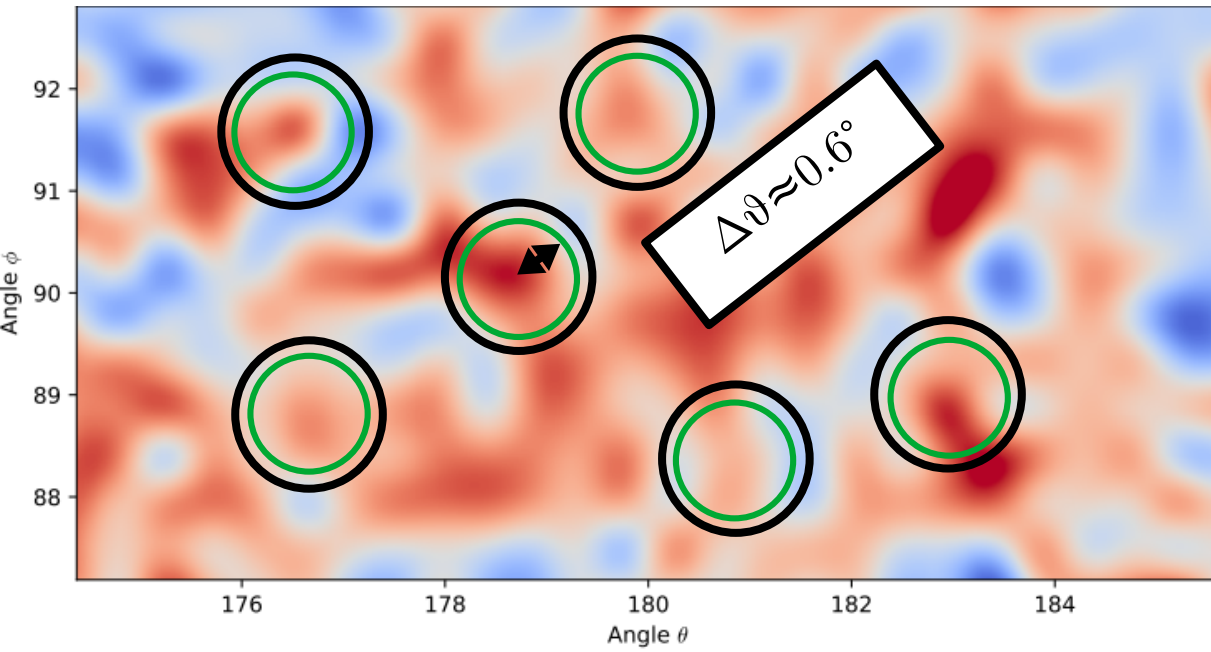
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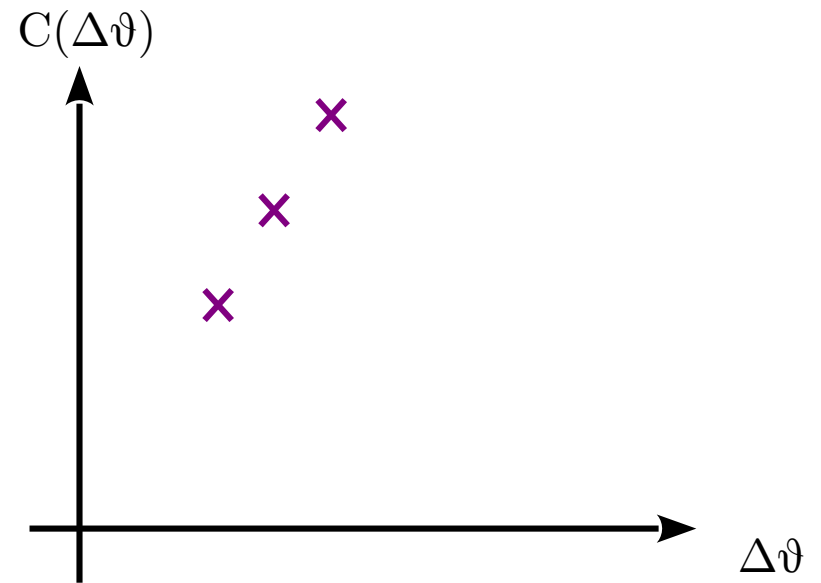
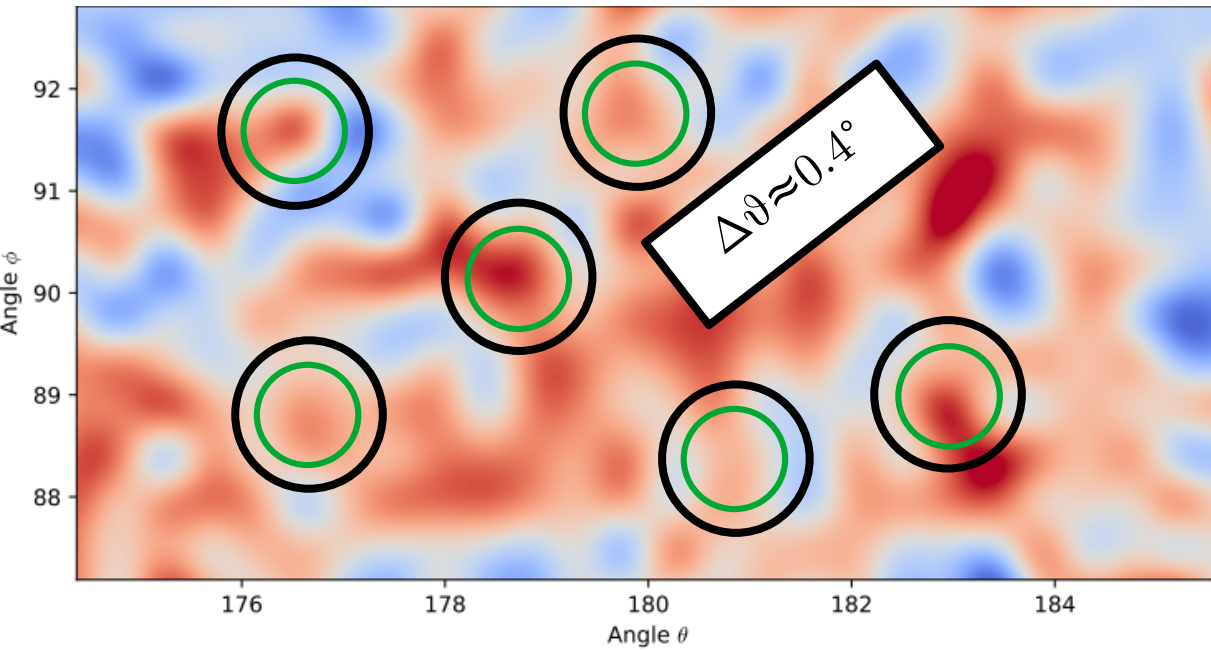


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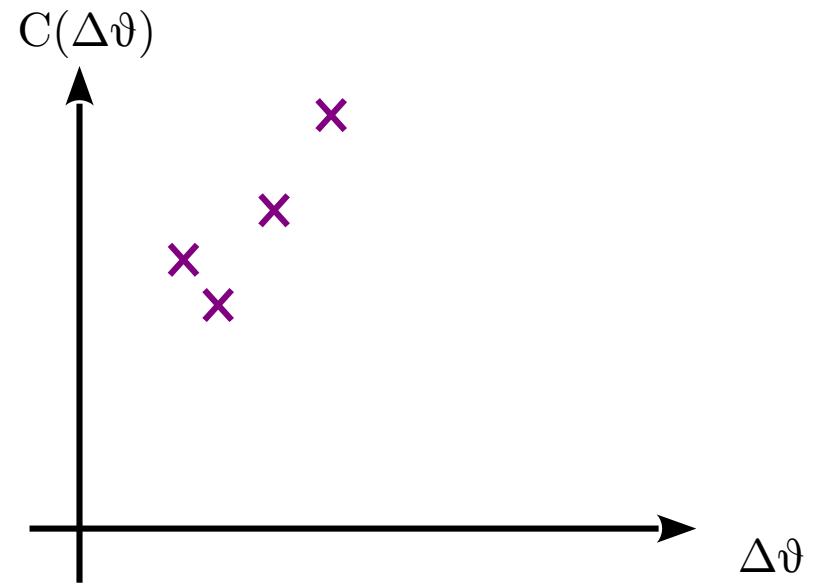
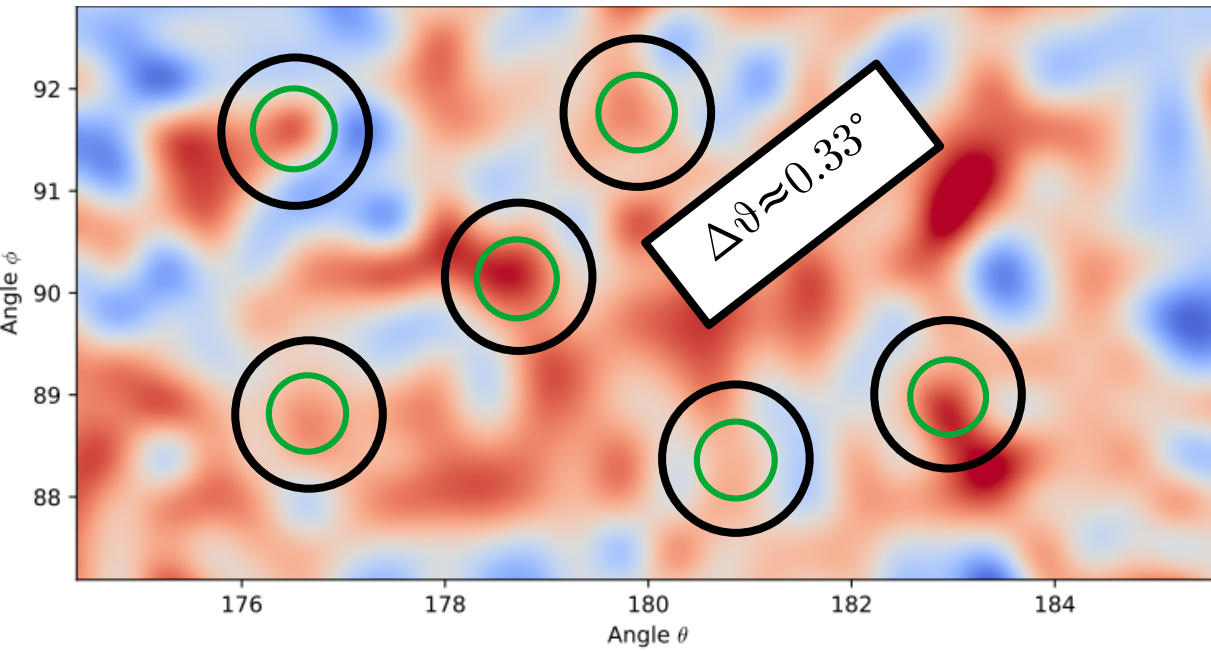




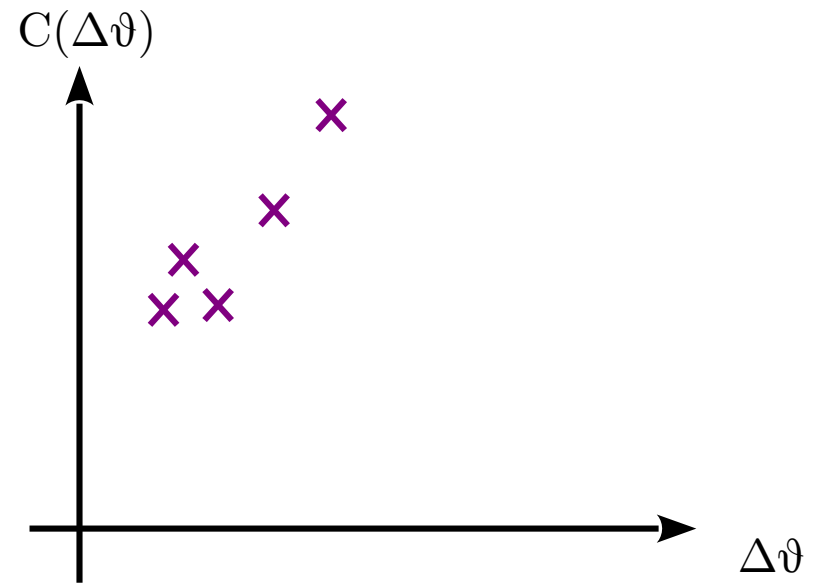
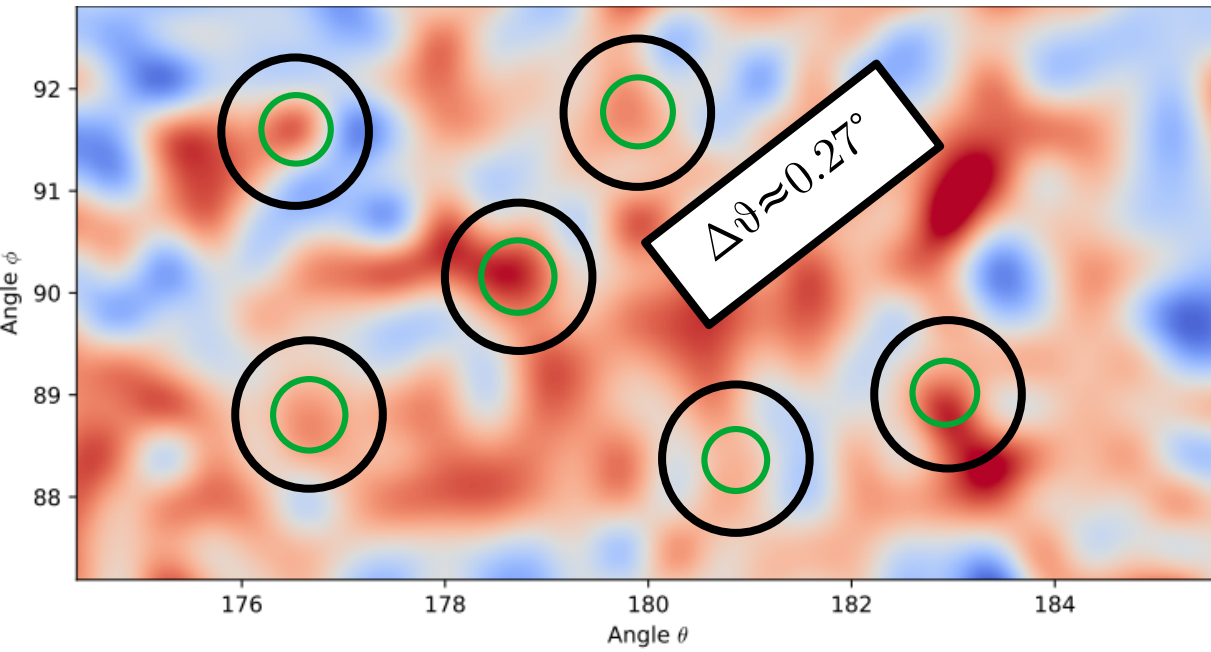
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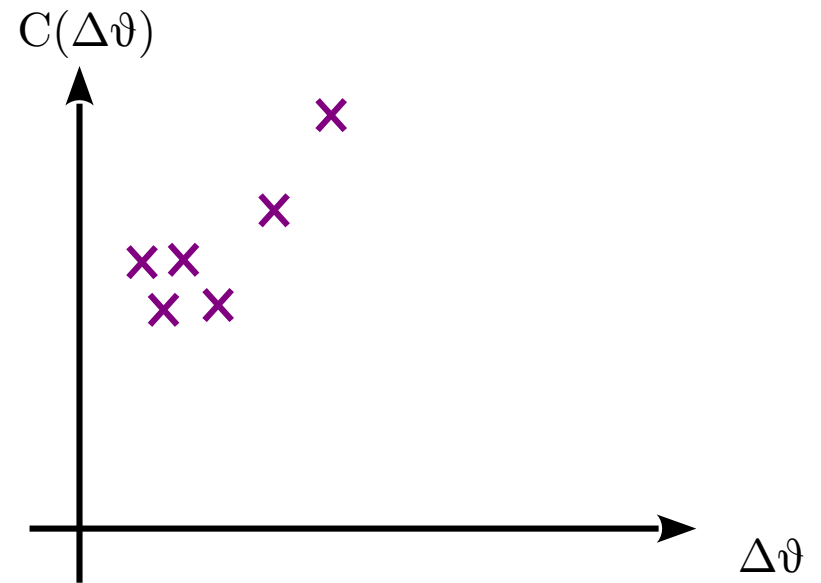
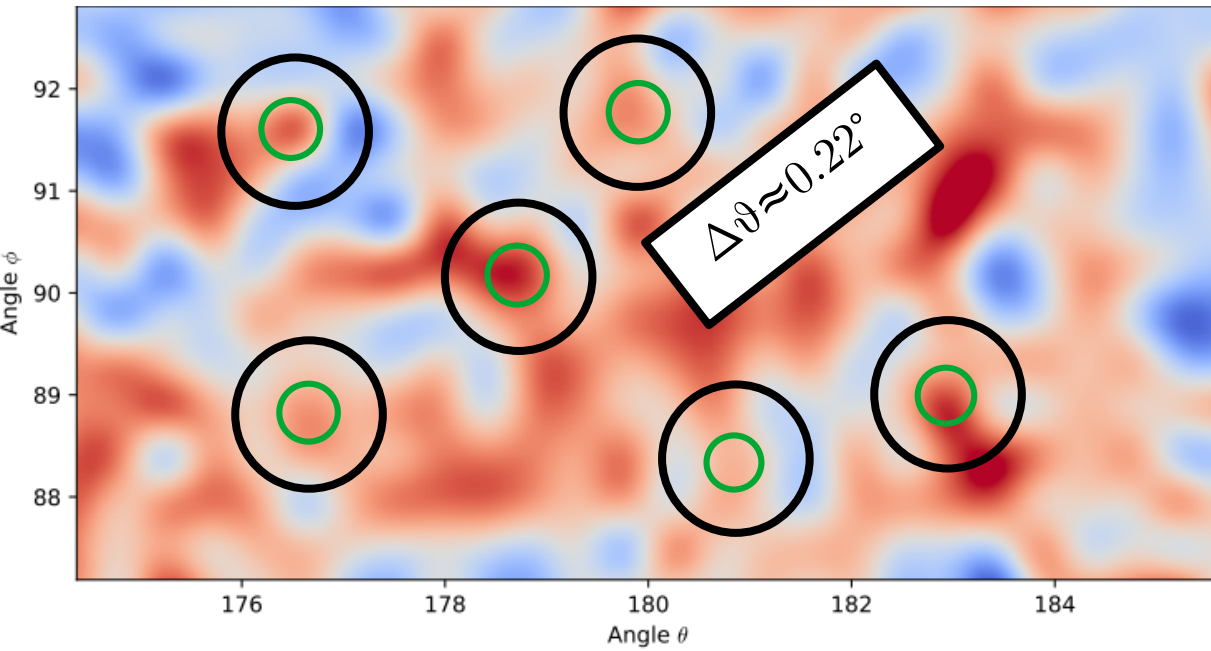
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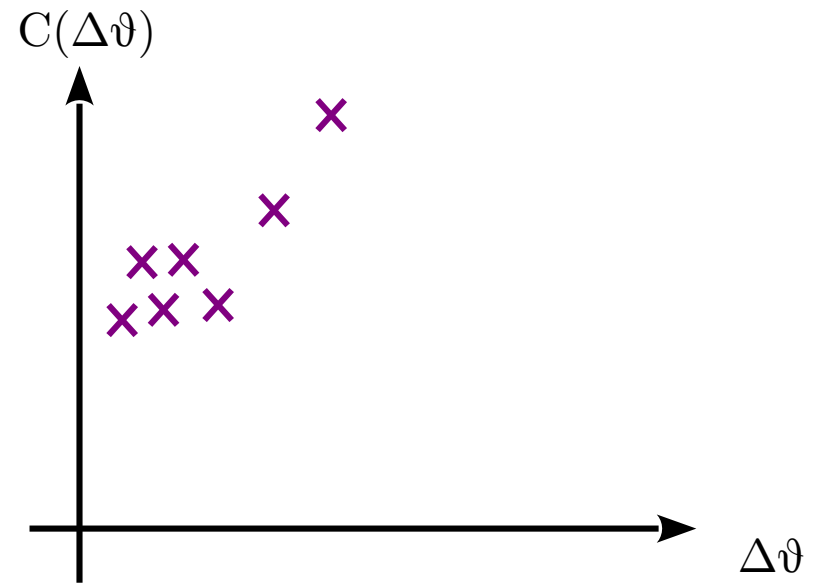
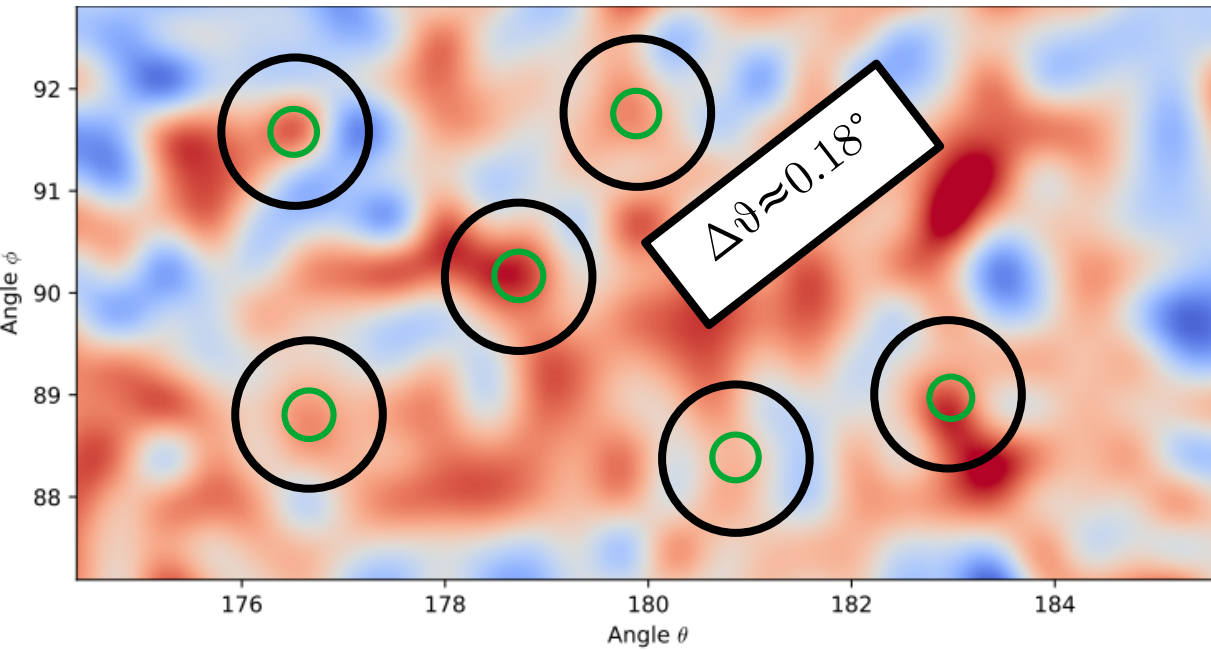
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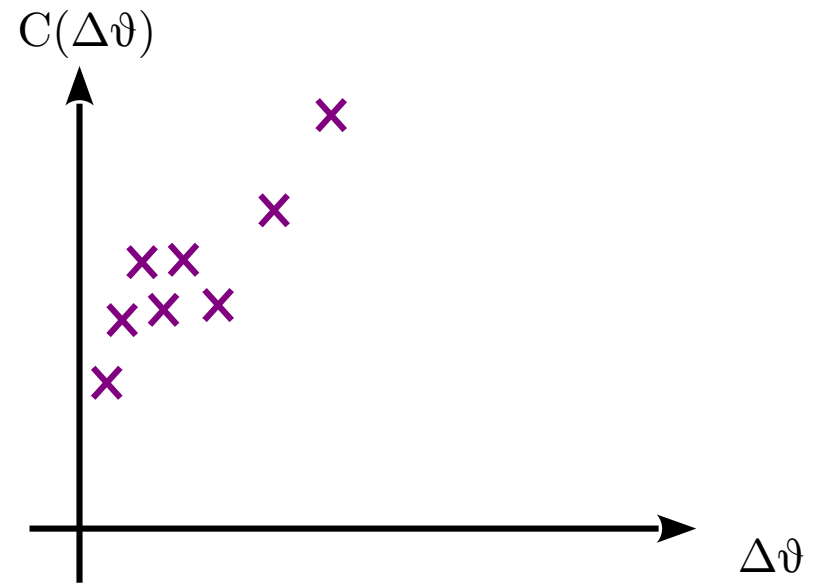
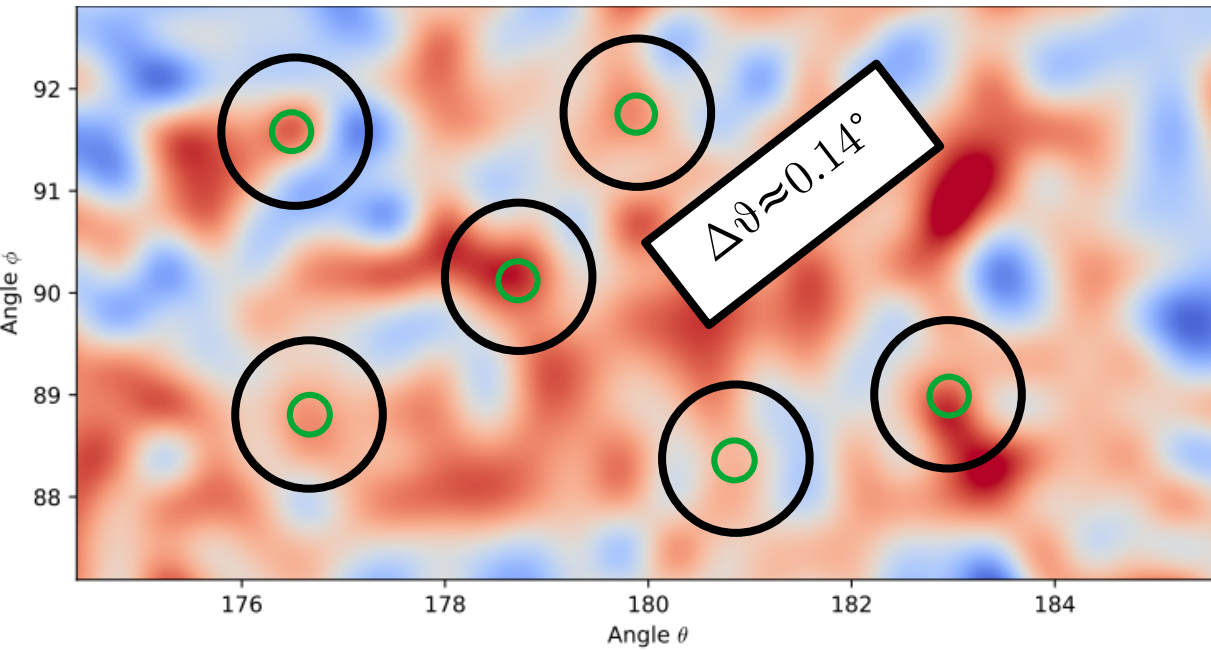
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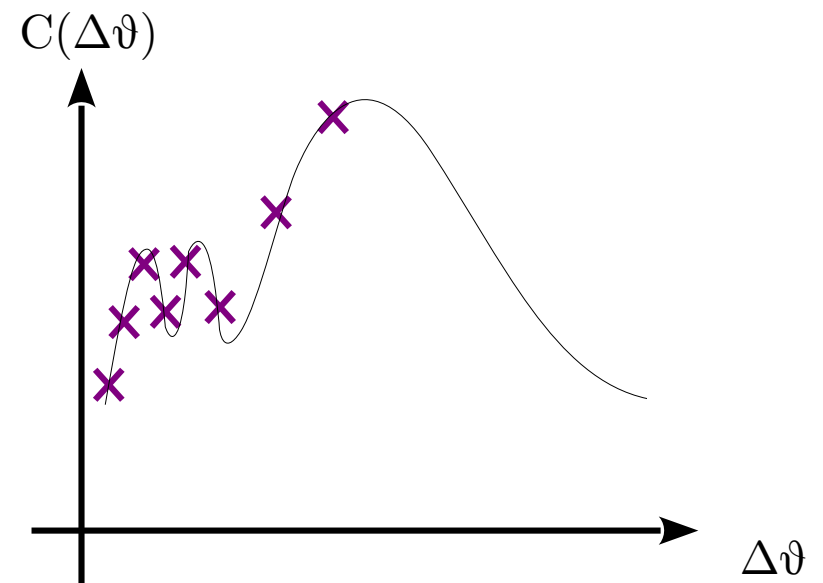
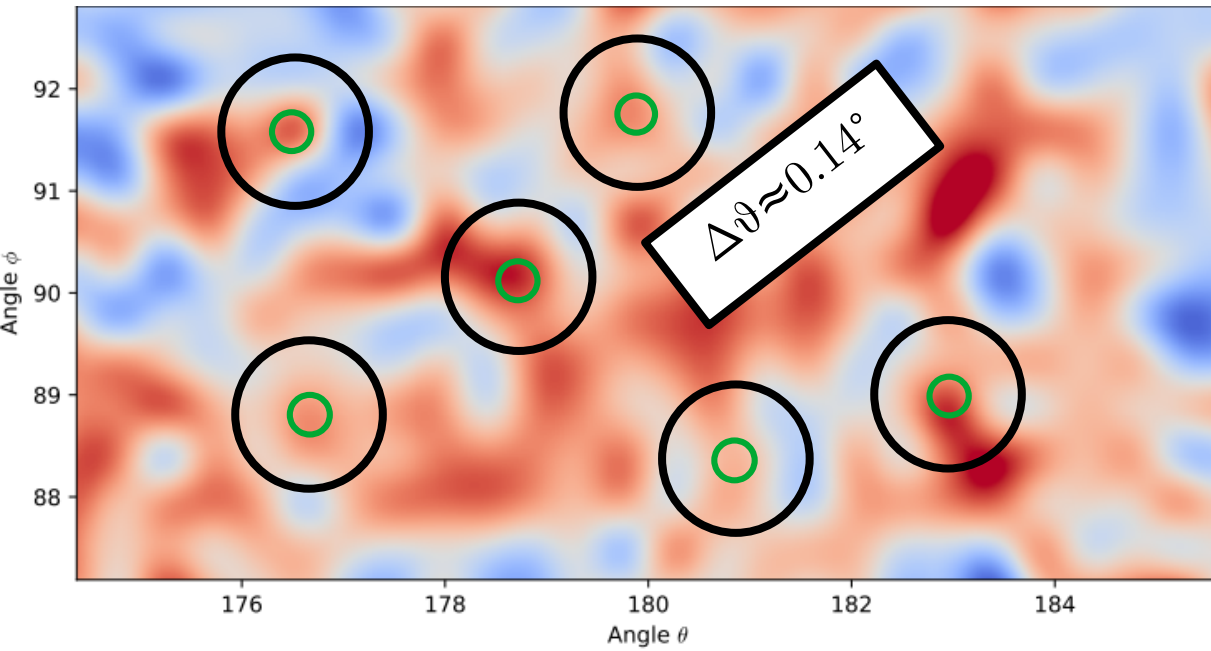
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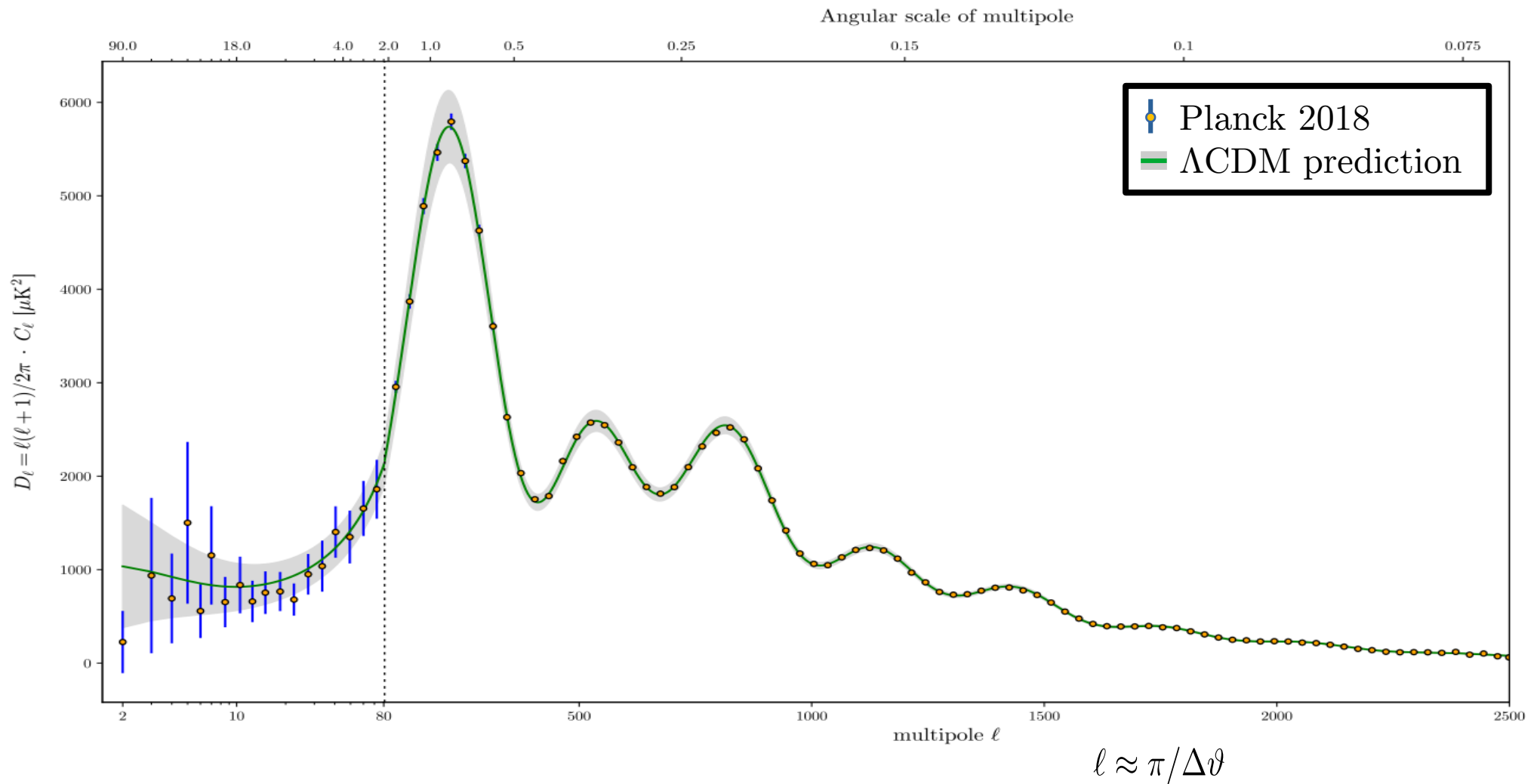
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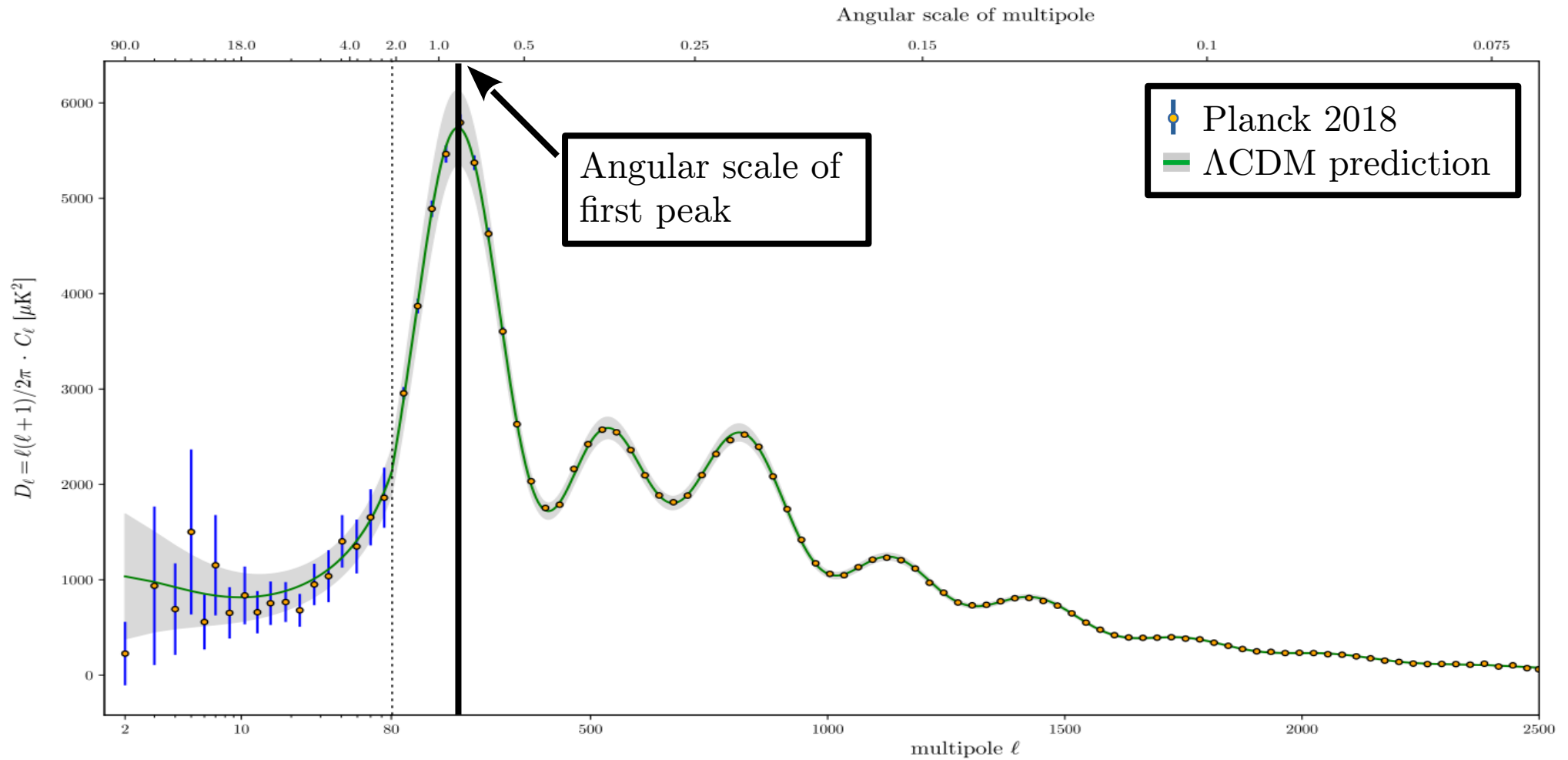


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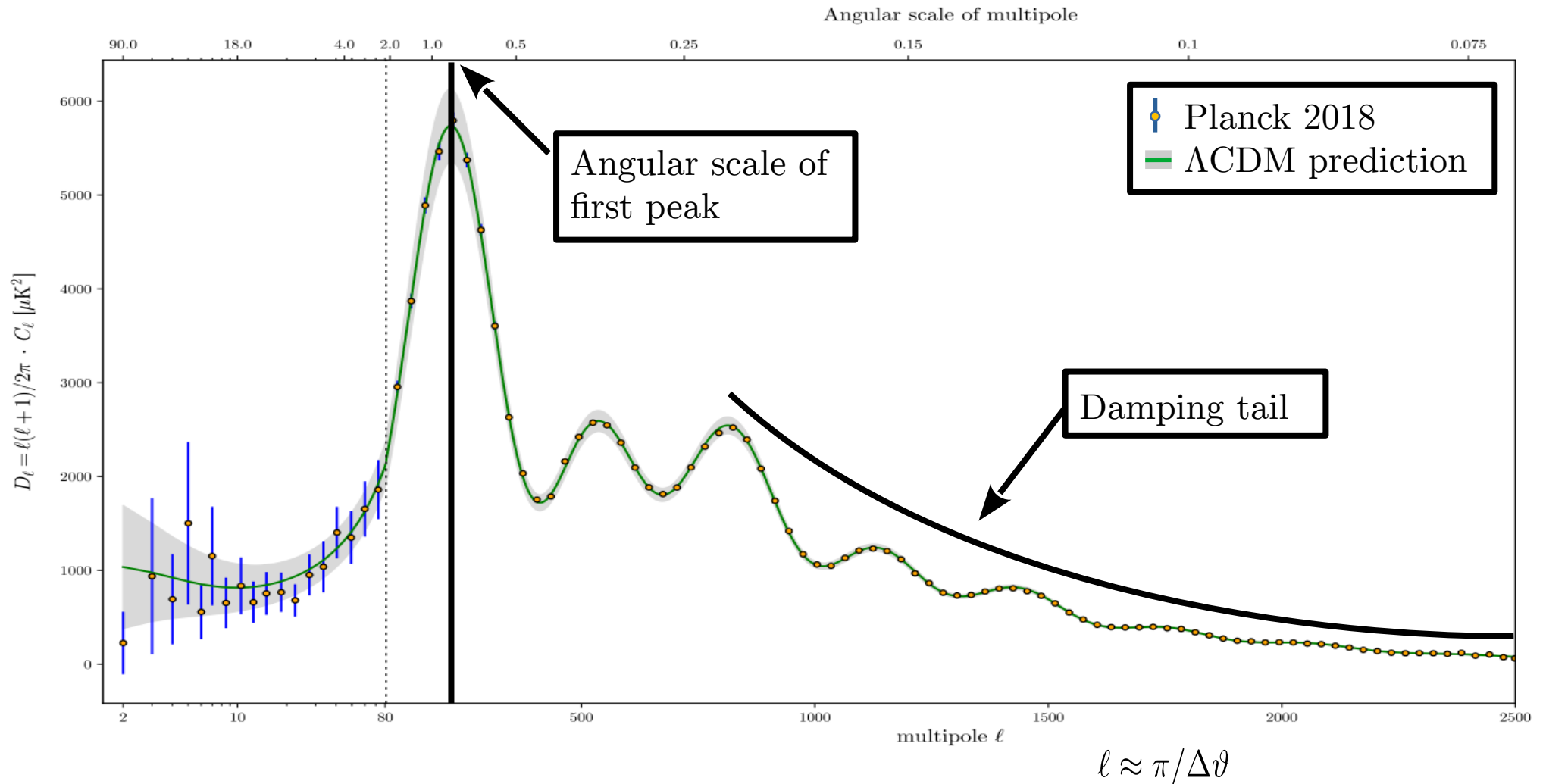


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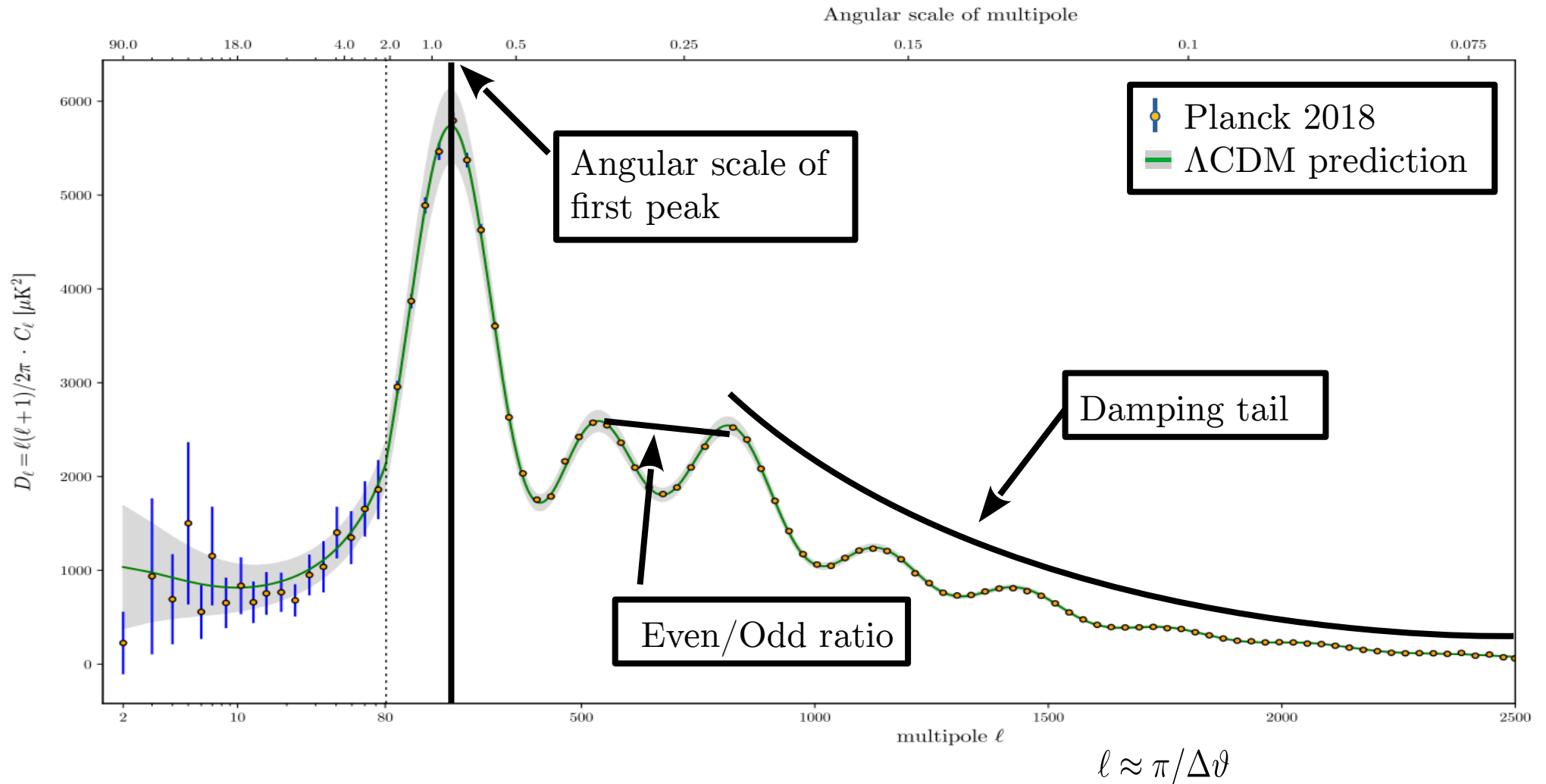


$$\ell \approx \pi/\Delta\vartheta$$

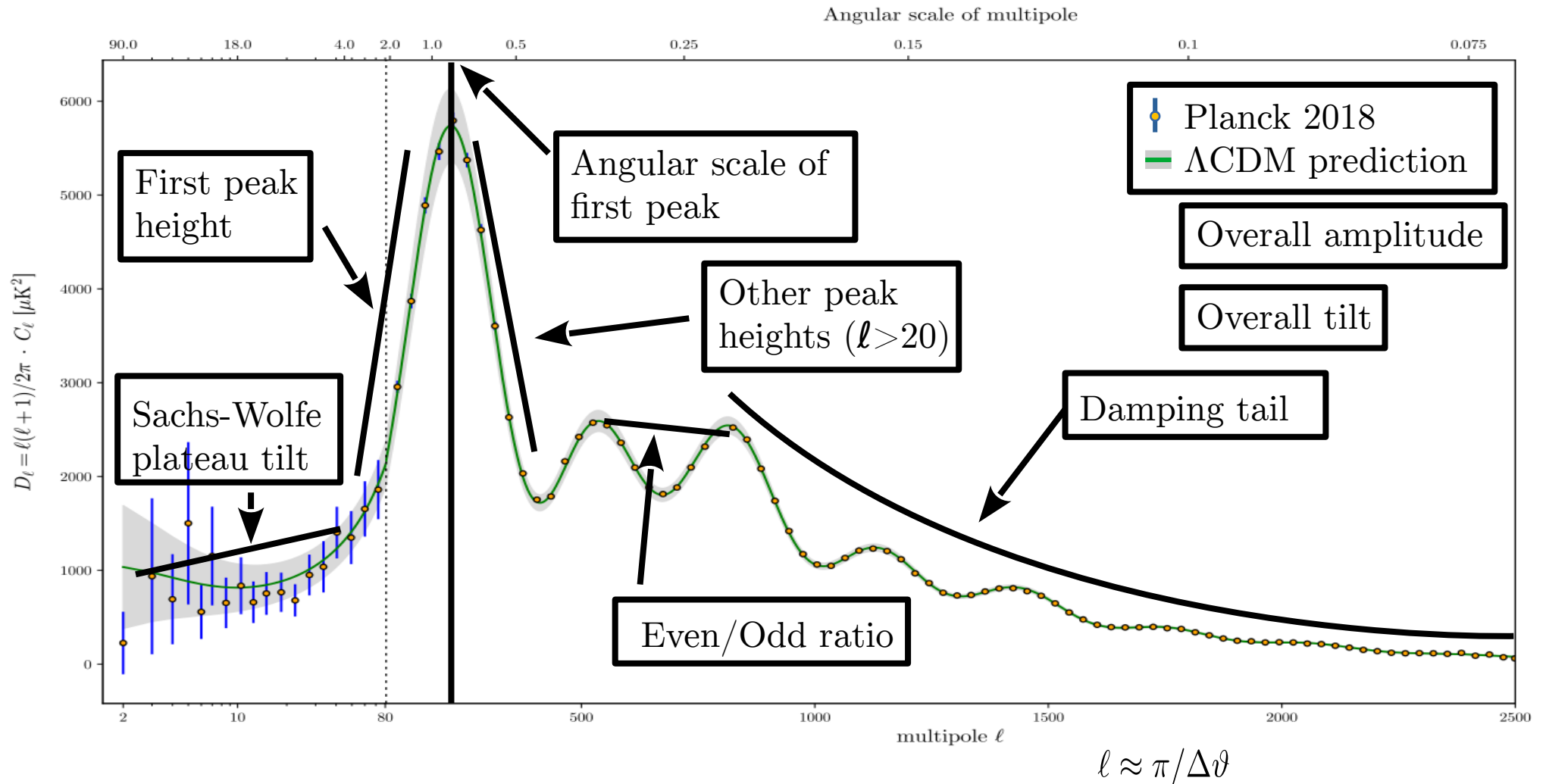
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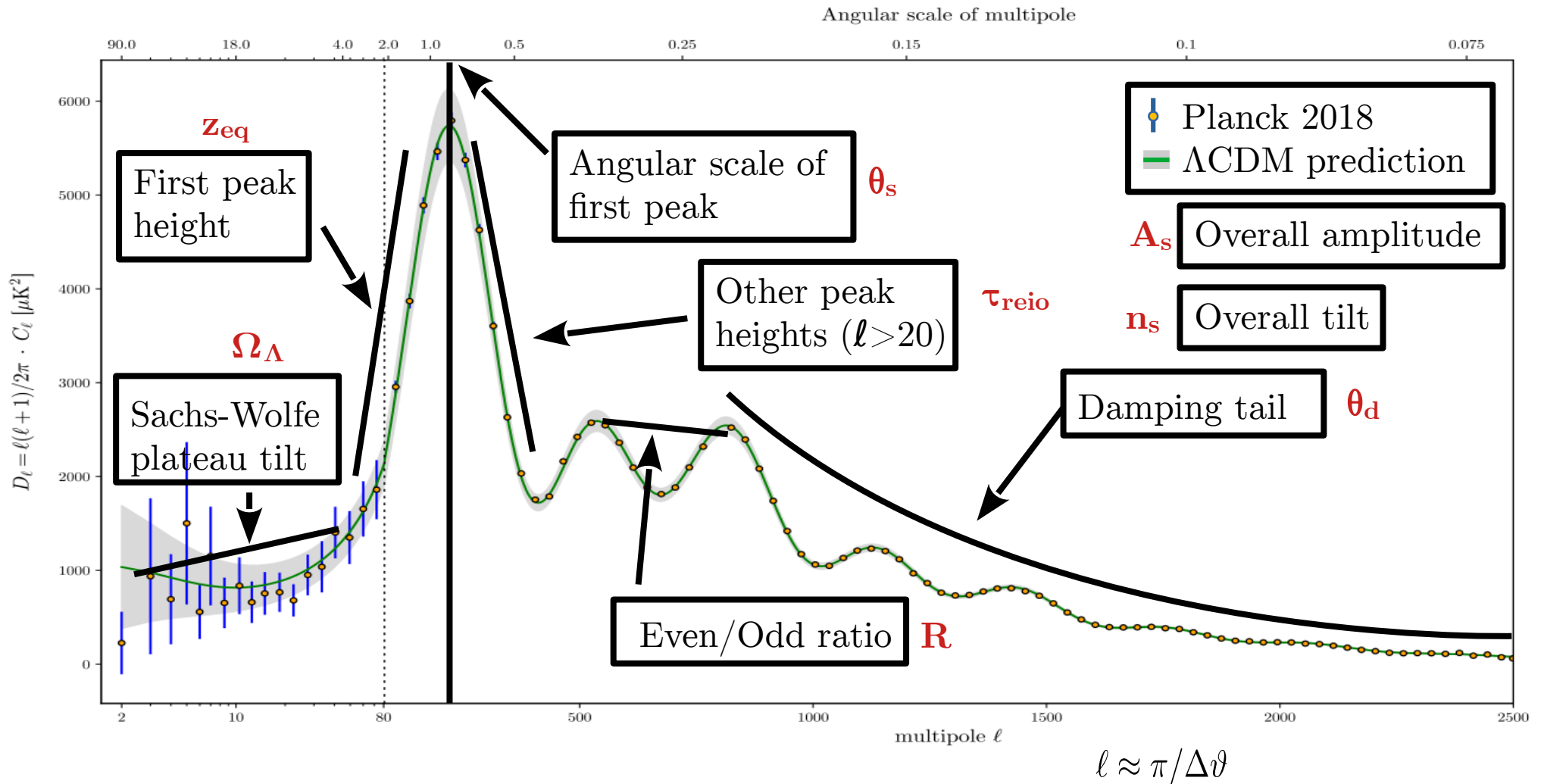
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$z_{\text{eq}}$

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$A_s$

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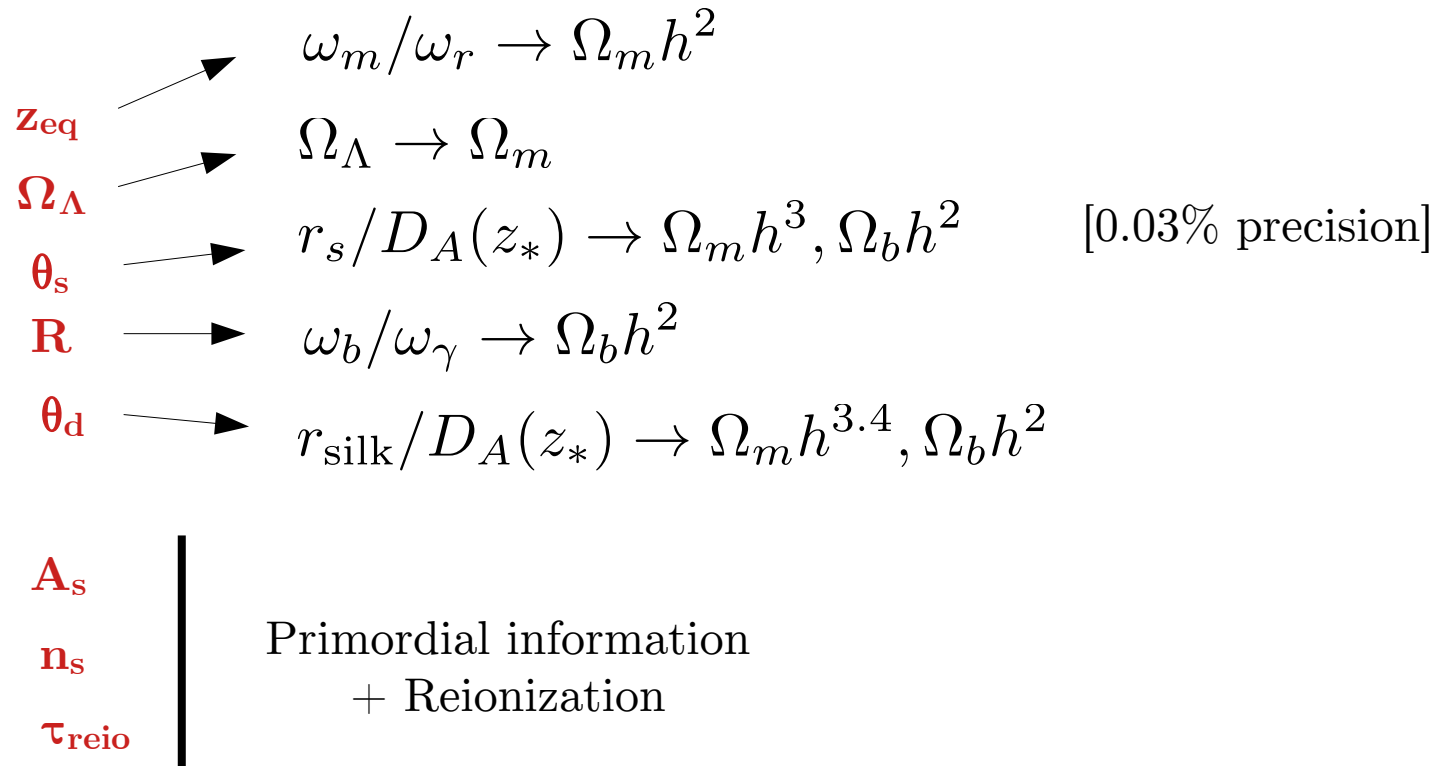
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 $z_{\text{eq}}$  $\Omega_{\Lambda}$  $\theta_s$  $R$  $\theta_d$  $A_s$  $n_s$  $\tau_{\text{reio}}$ 

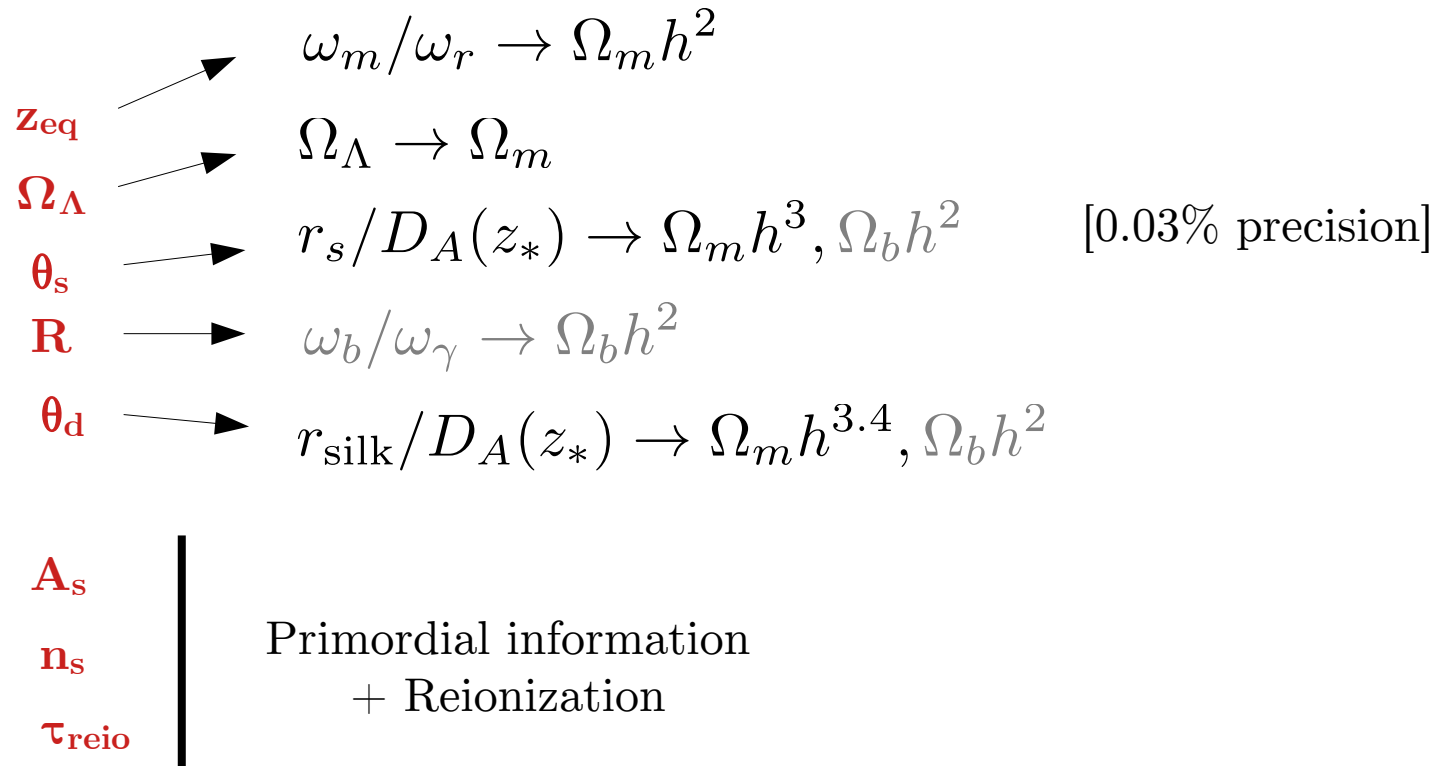
Primordial information  
+ Reionization



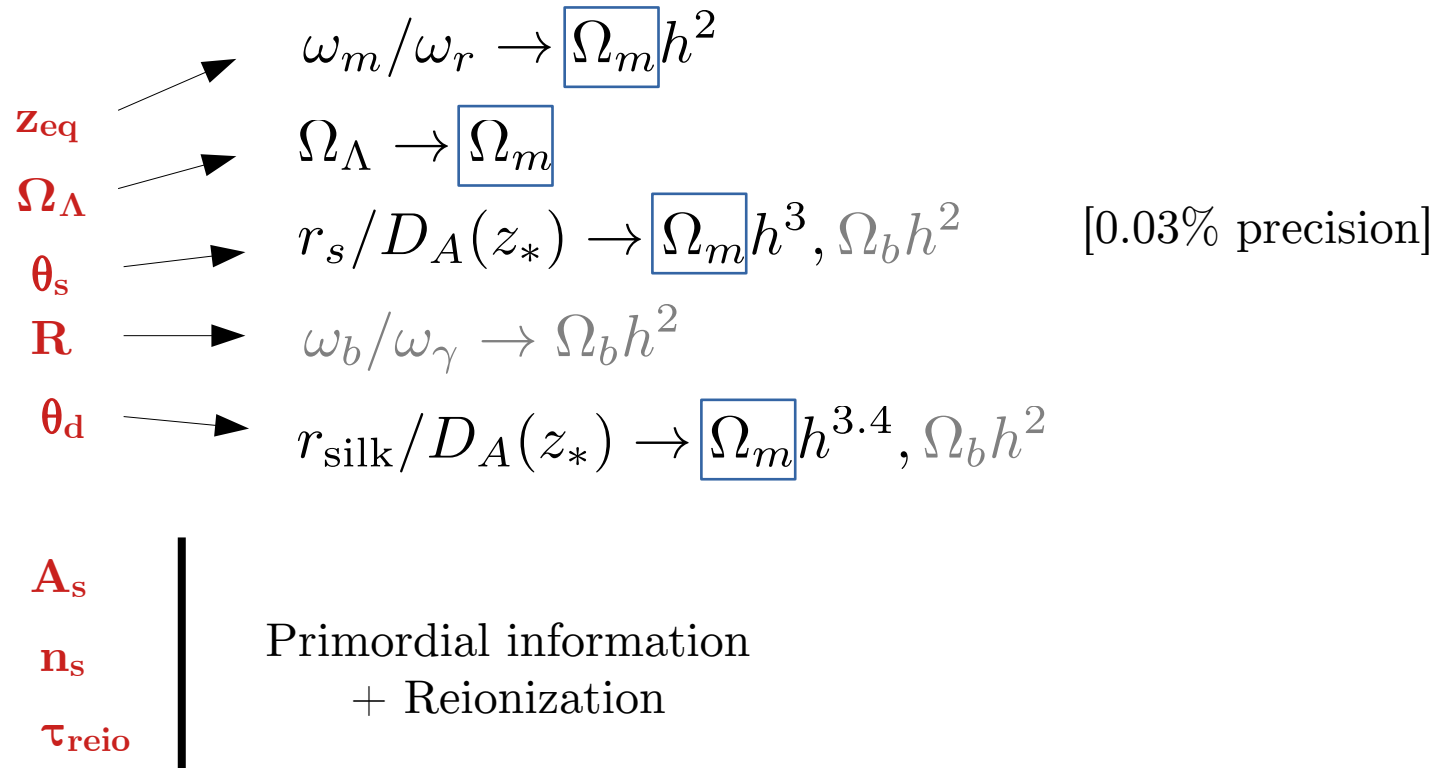
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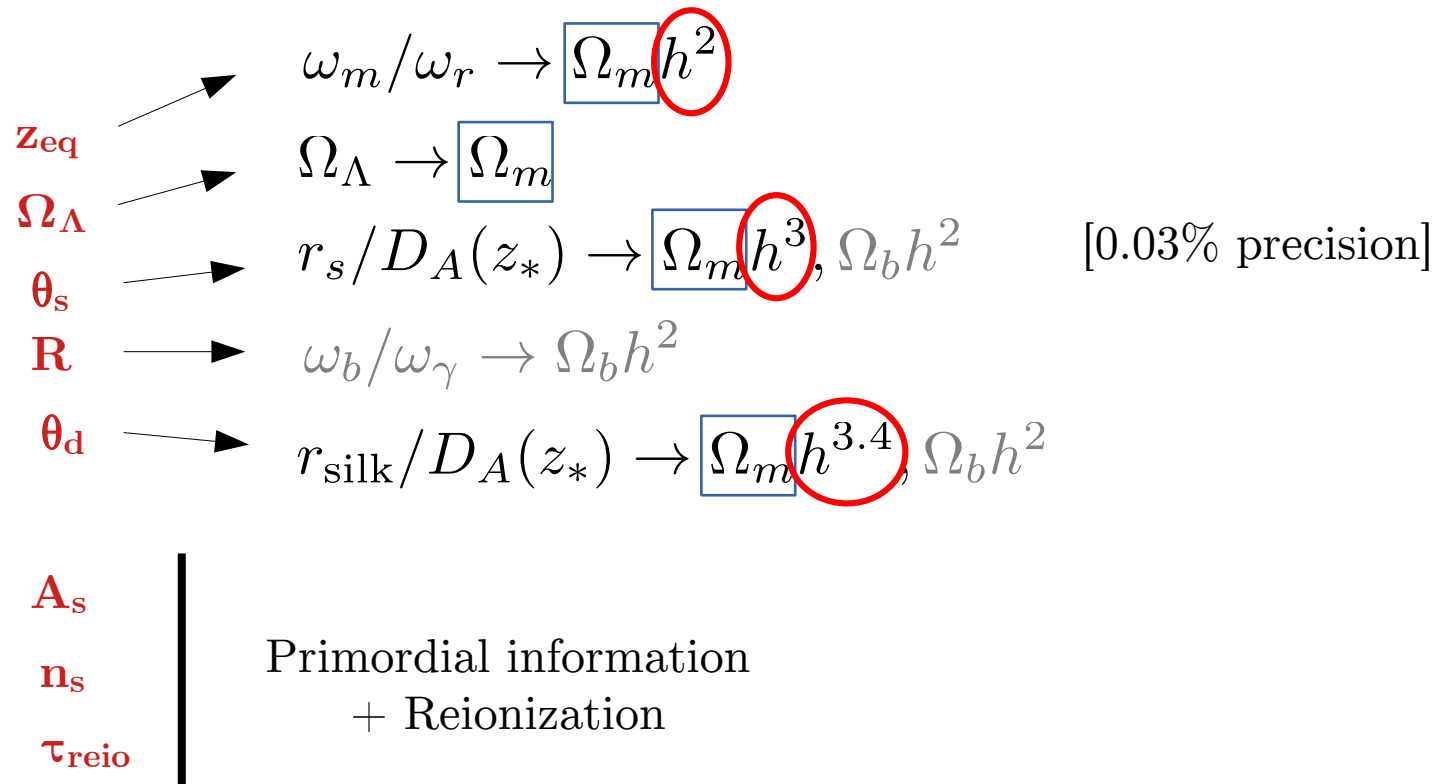
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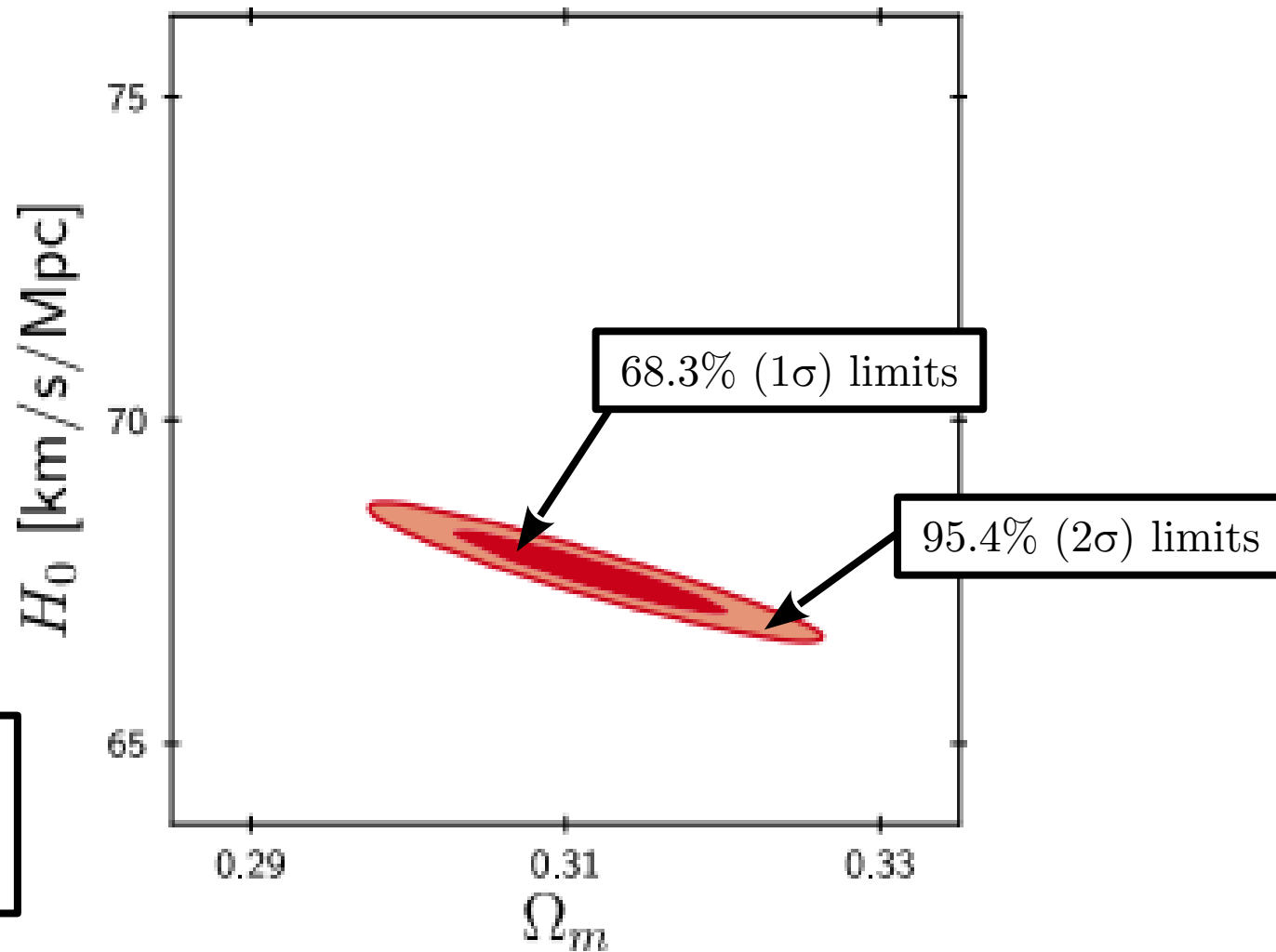
# THE CMB



# THE CMB



# THE HUBBLE TENSION



# STANDARD CANDLE



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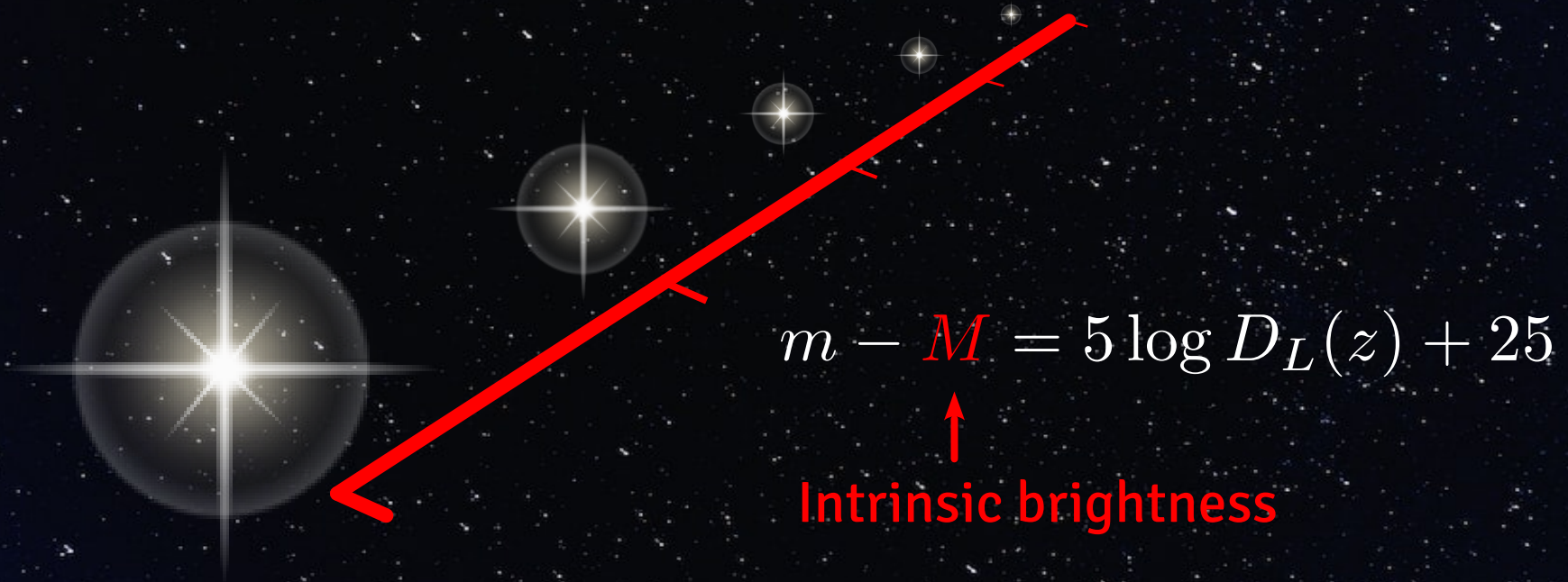


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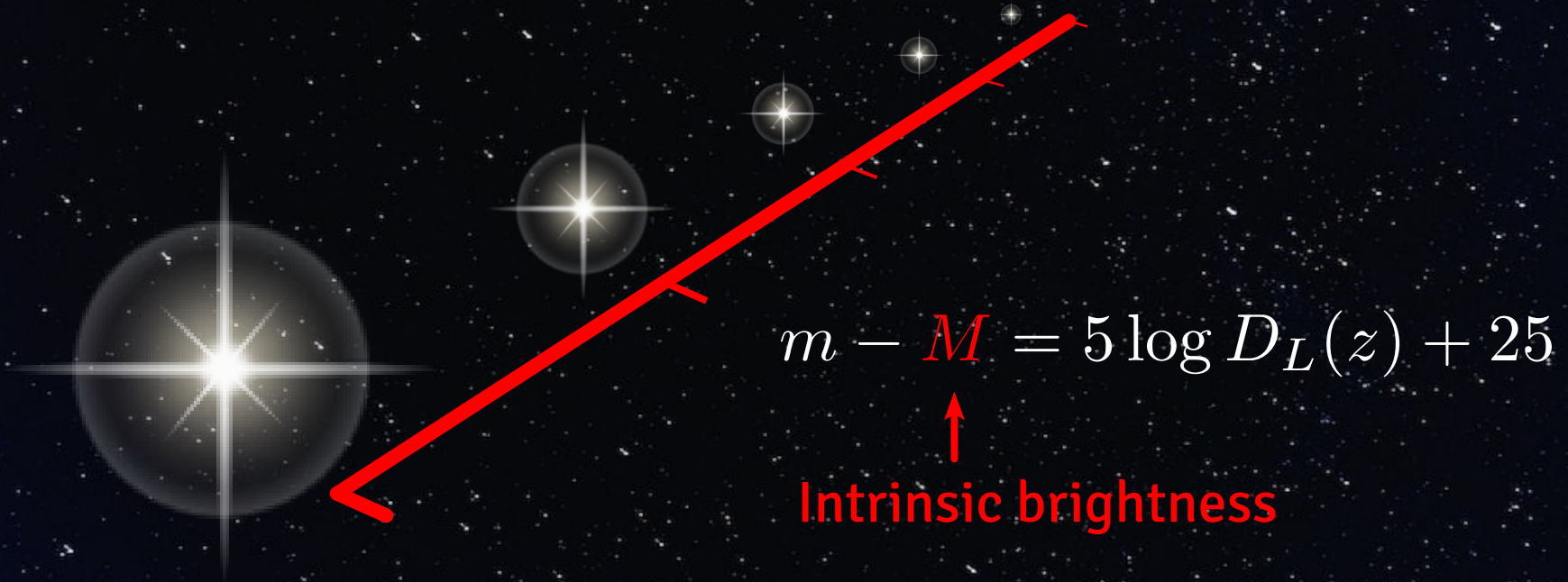




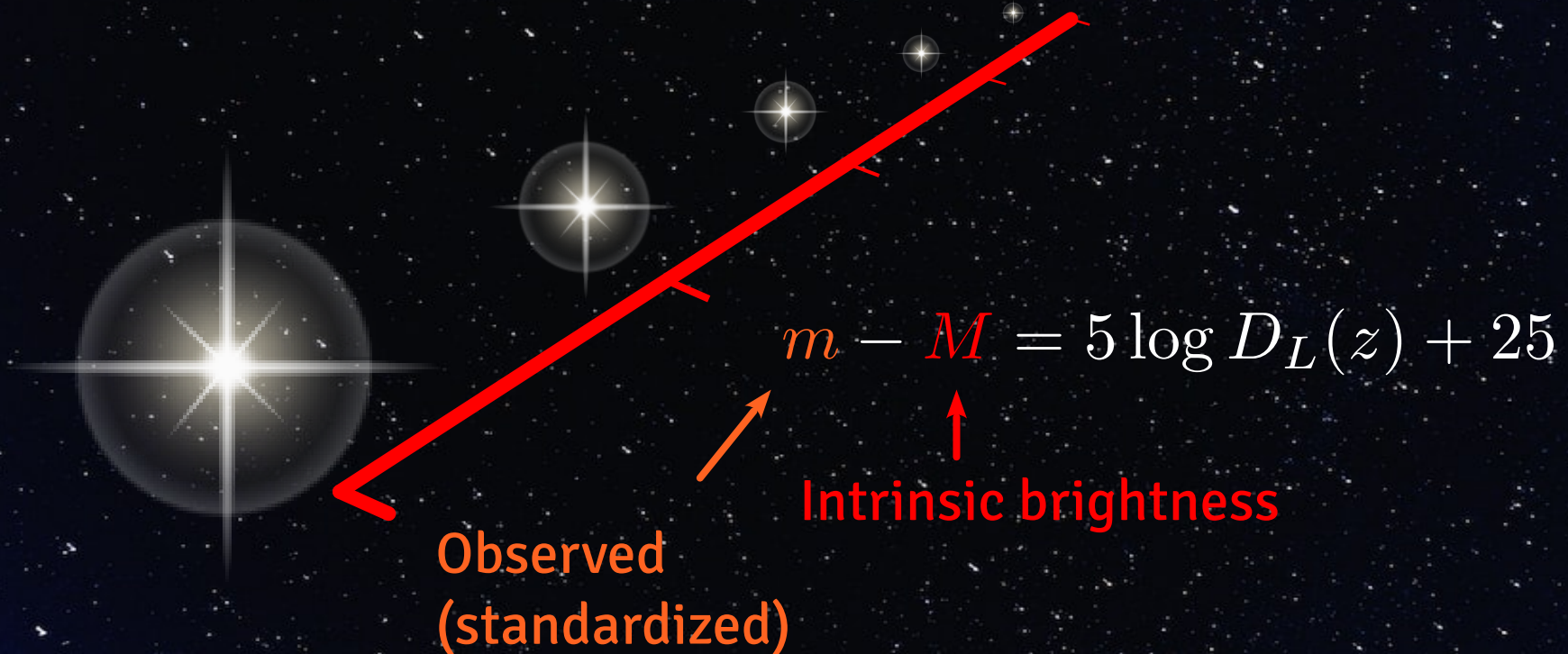
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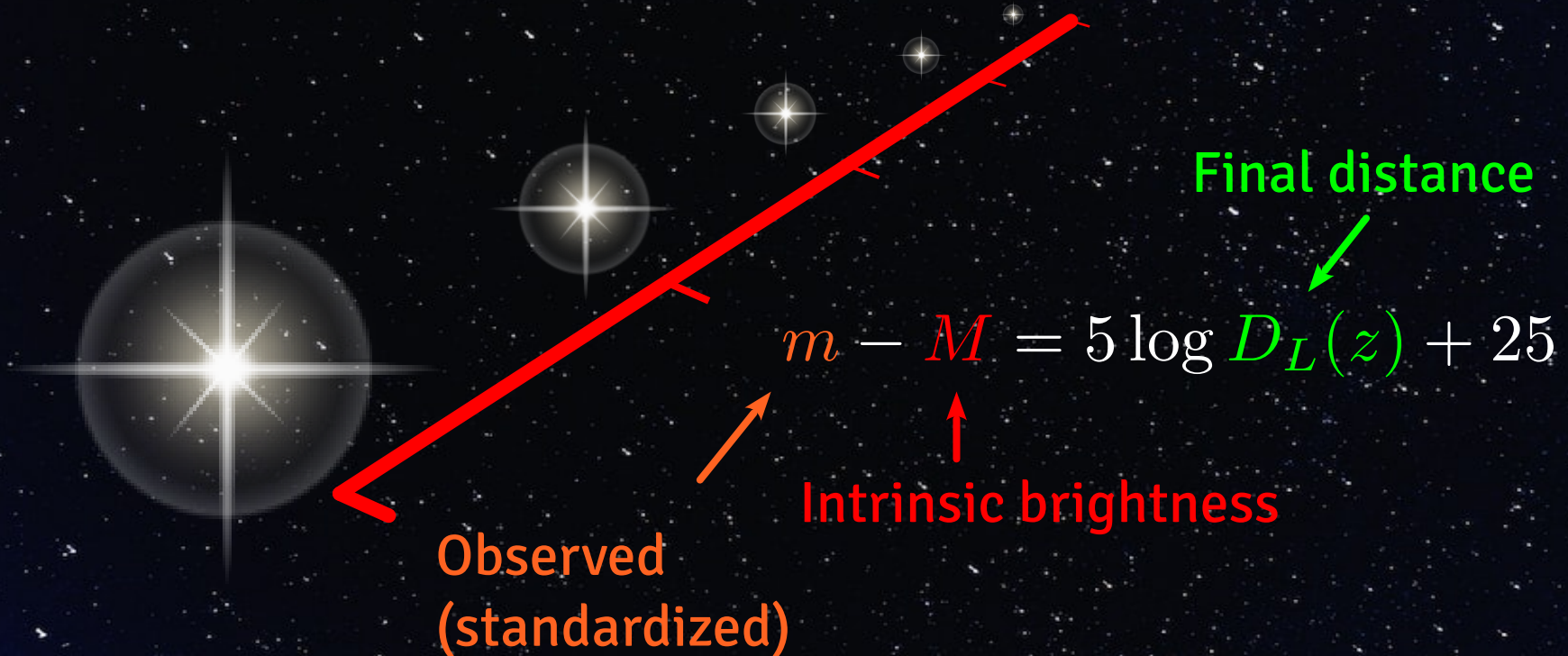
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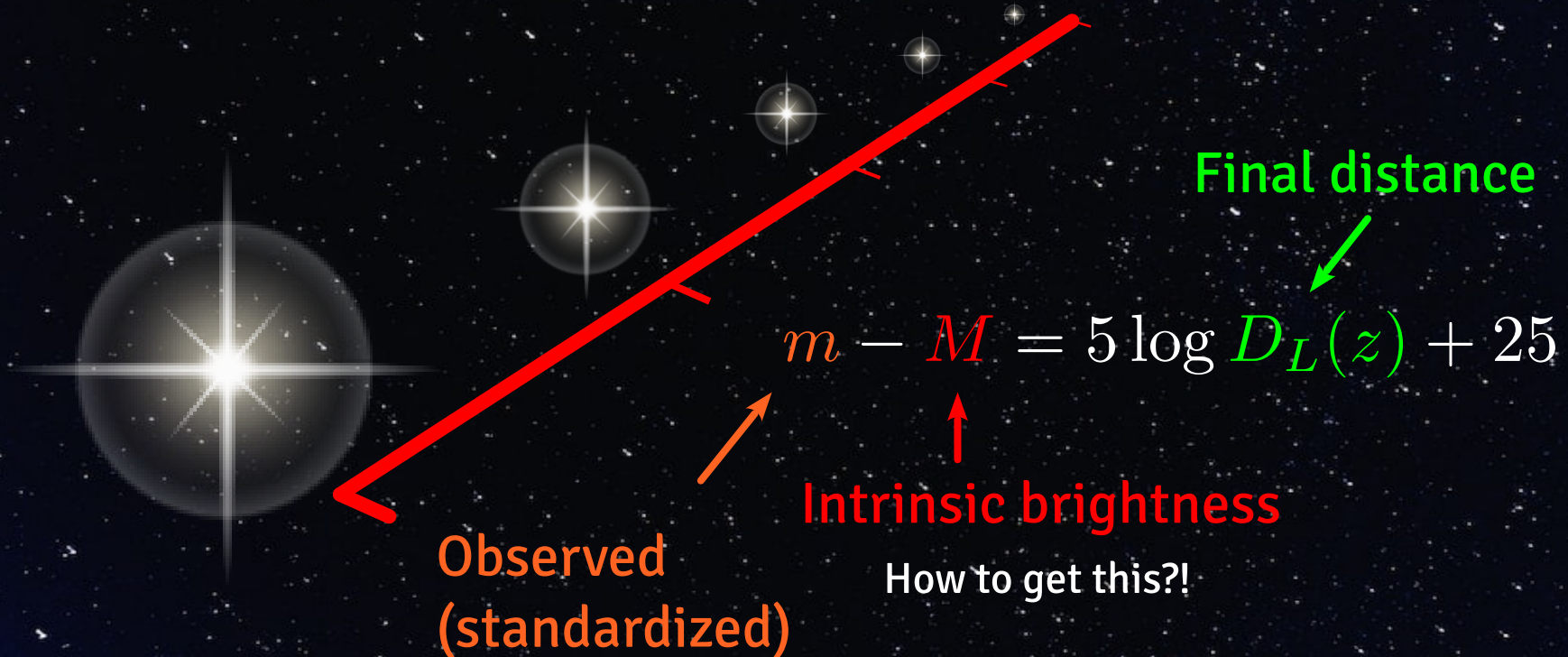
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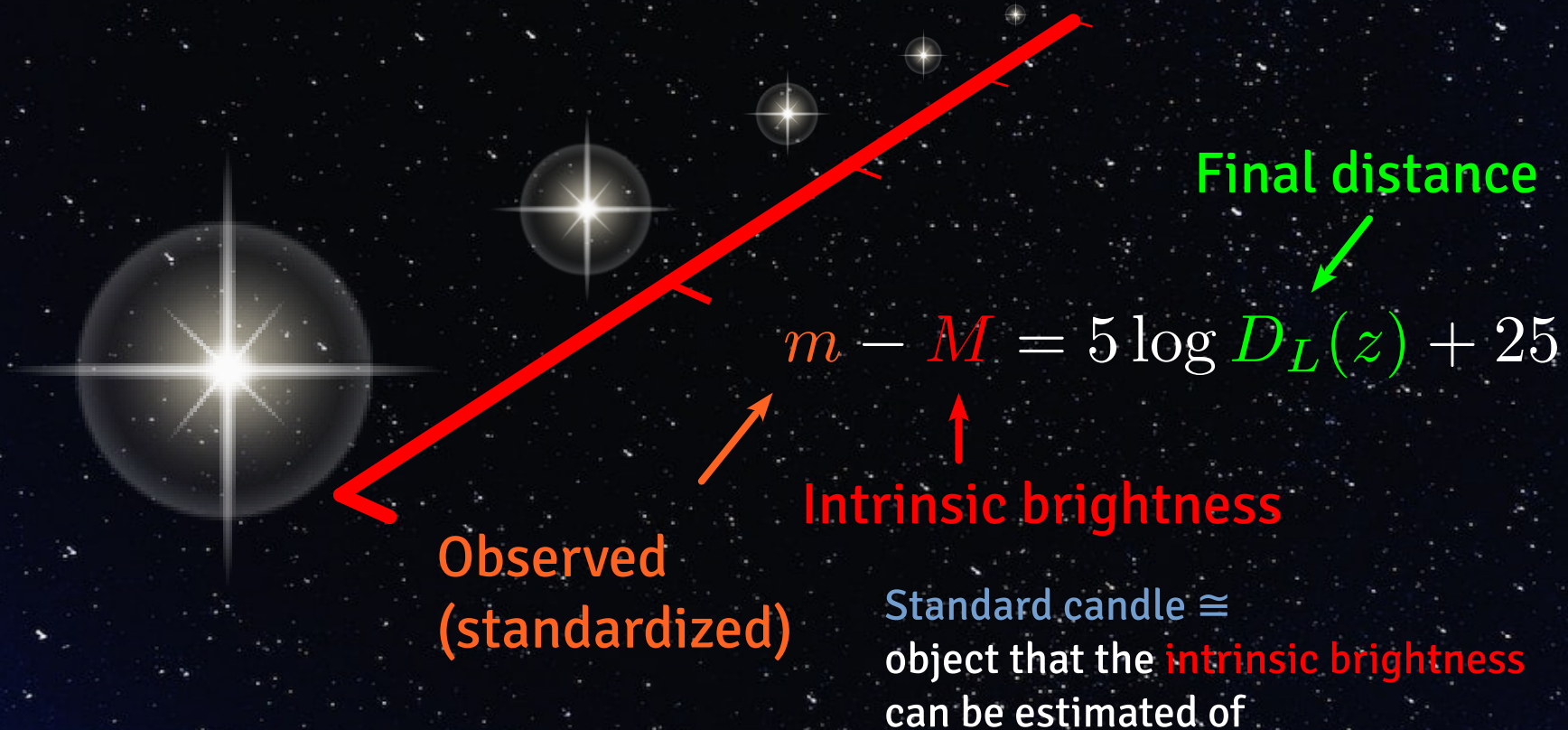
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- Often not a problem... **but sometimes it is!**

# STANDARD CANDLES

Sadly, this is *not* where the issues stop

Even when we find objects with **good intrinsic properties** that allow for estimation of the **intrinsic magnitude** and also give their **redshift**, there is still *one more hurdle!*

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- Nearby objects are **faint** at large distance
- Faraway bright objects are **uncommon** in the local universe

# ISSUES OF STANDARD CANDLES

- Calibration of  $M$  requires nearby objects of known distances

- Measuring the Hubble constant

- Nearby objects

- Faraway objects

universe

**The solution:**

**Build a ladder!**

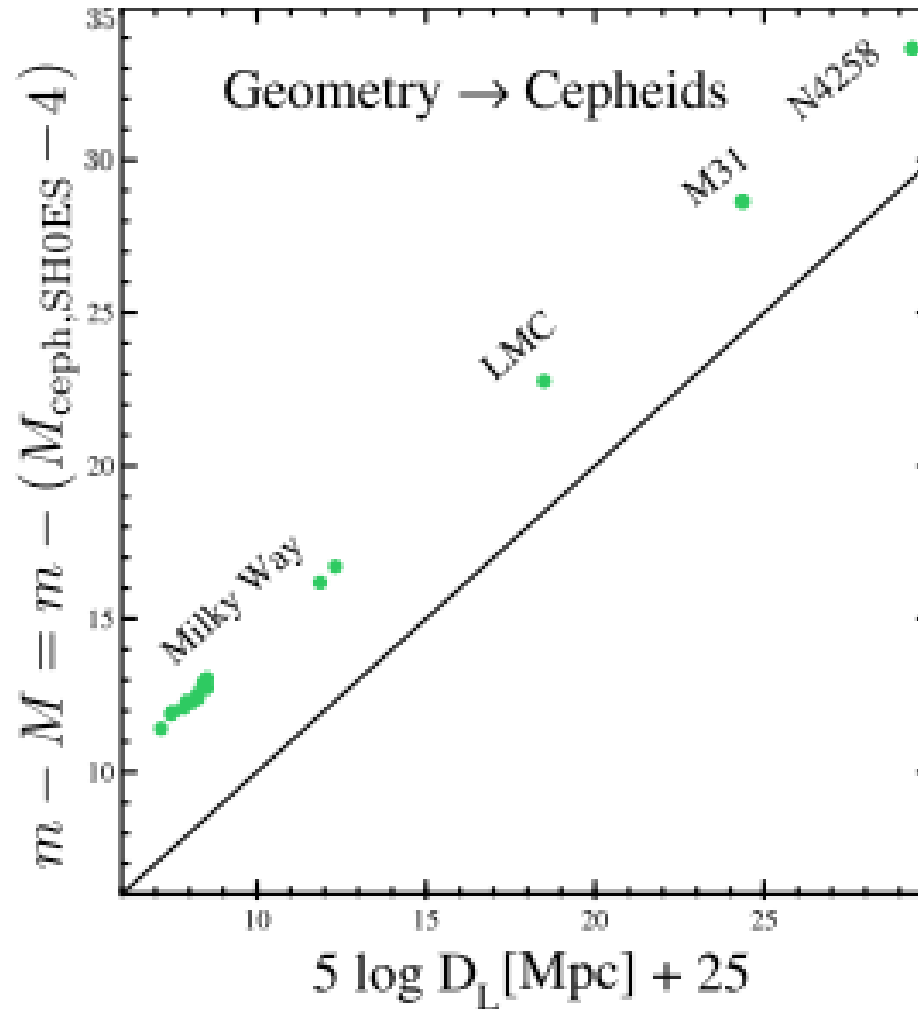
Calibrate bright faraway objects  
using faint nearby ones

the

l

Riess+1604.01424 (edited)

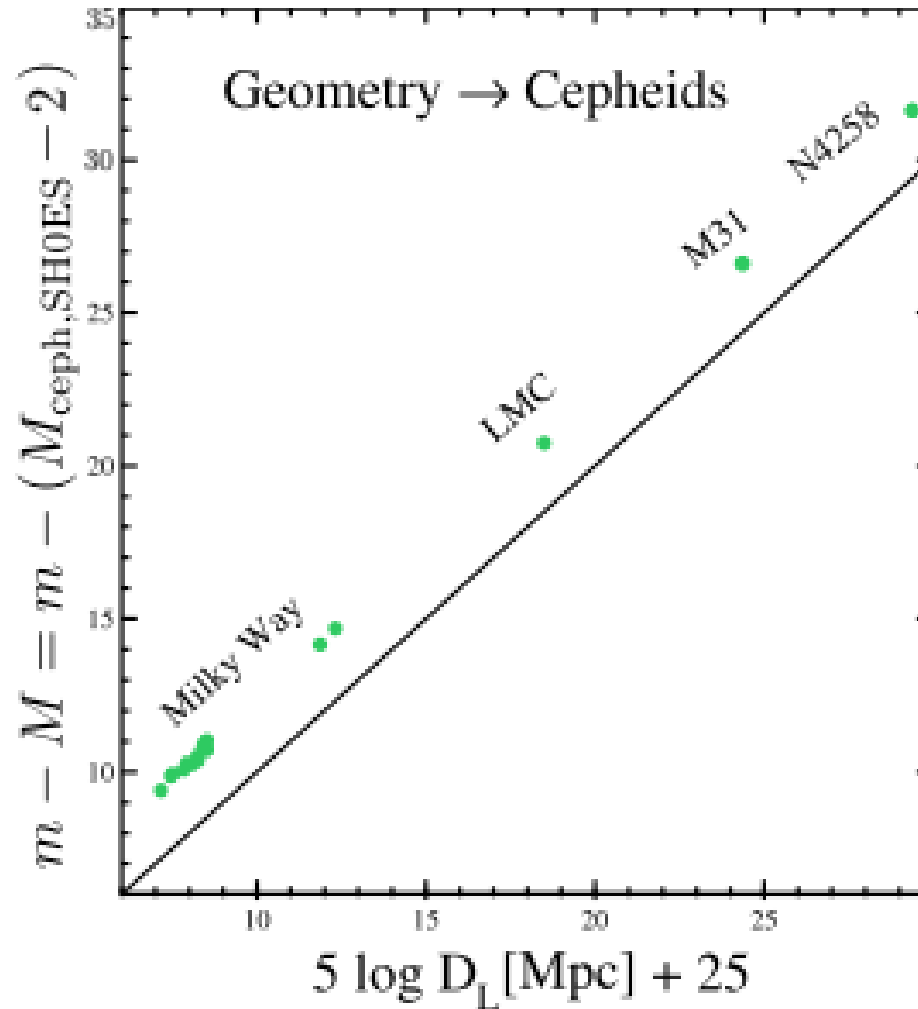
Estimated Distance



Measured Distance

Riess+1604.01424 (edited)

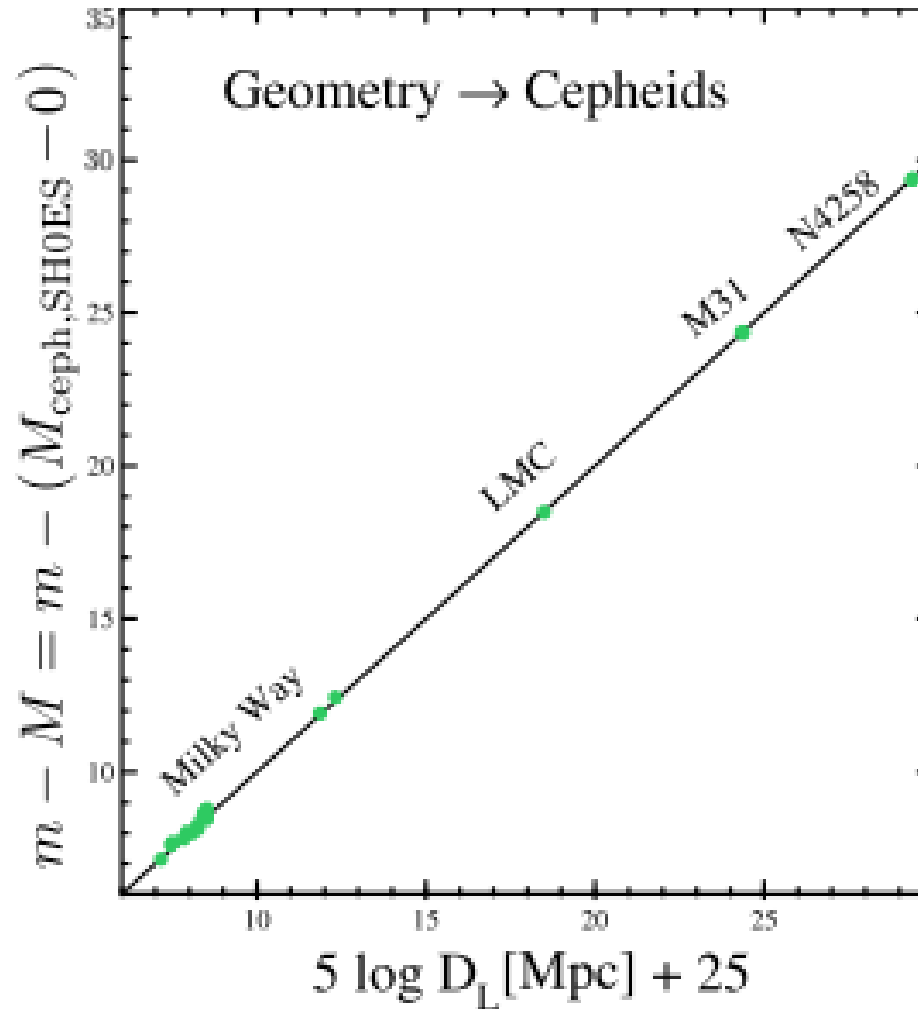
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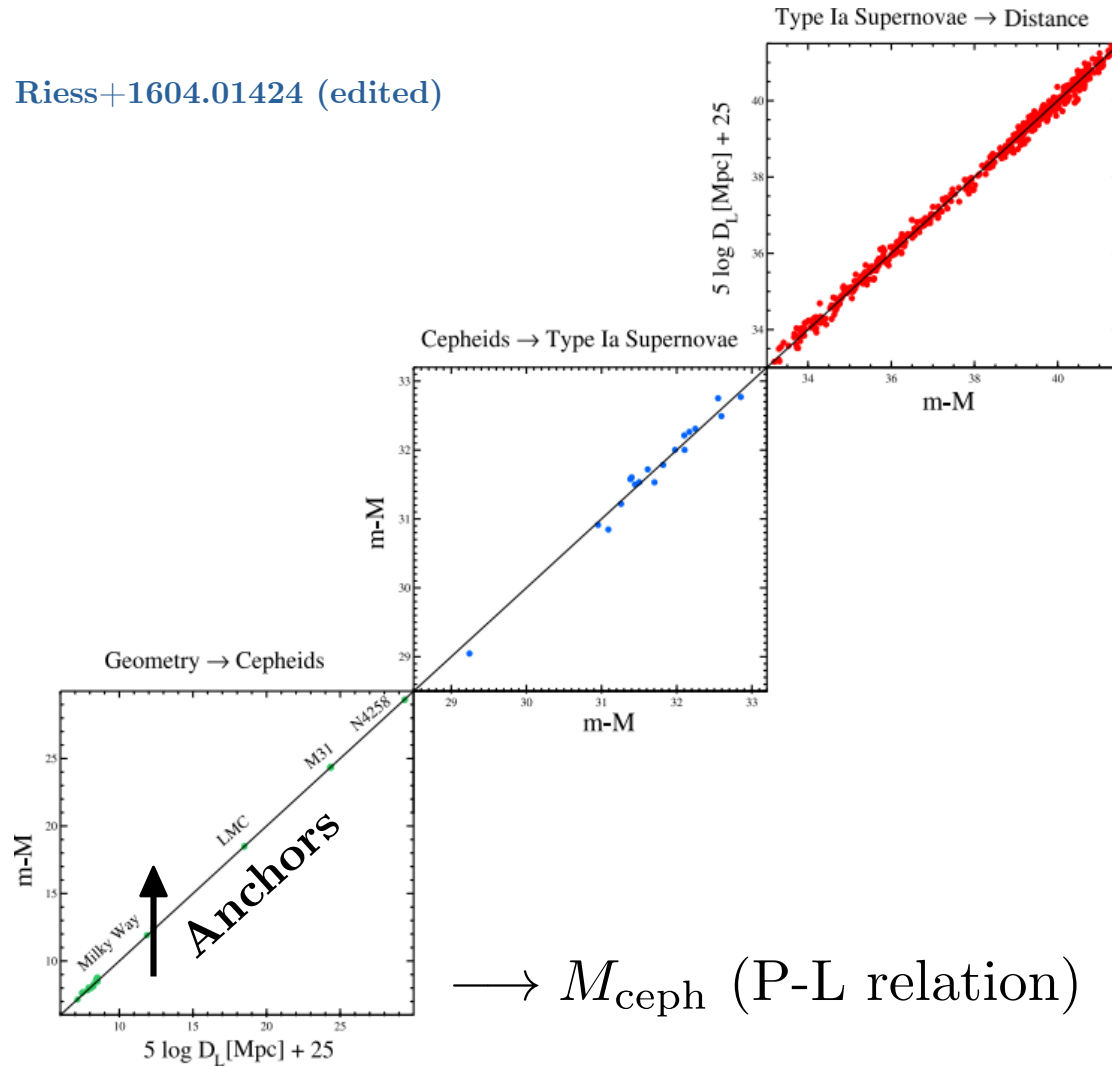
Riess+1604.01424 (edited)

Estimated Distance

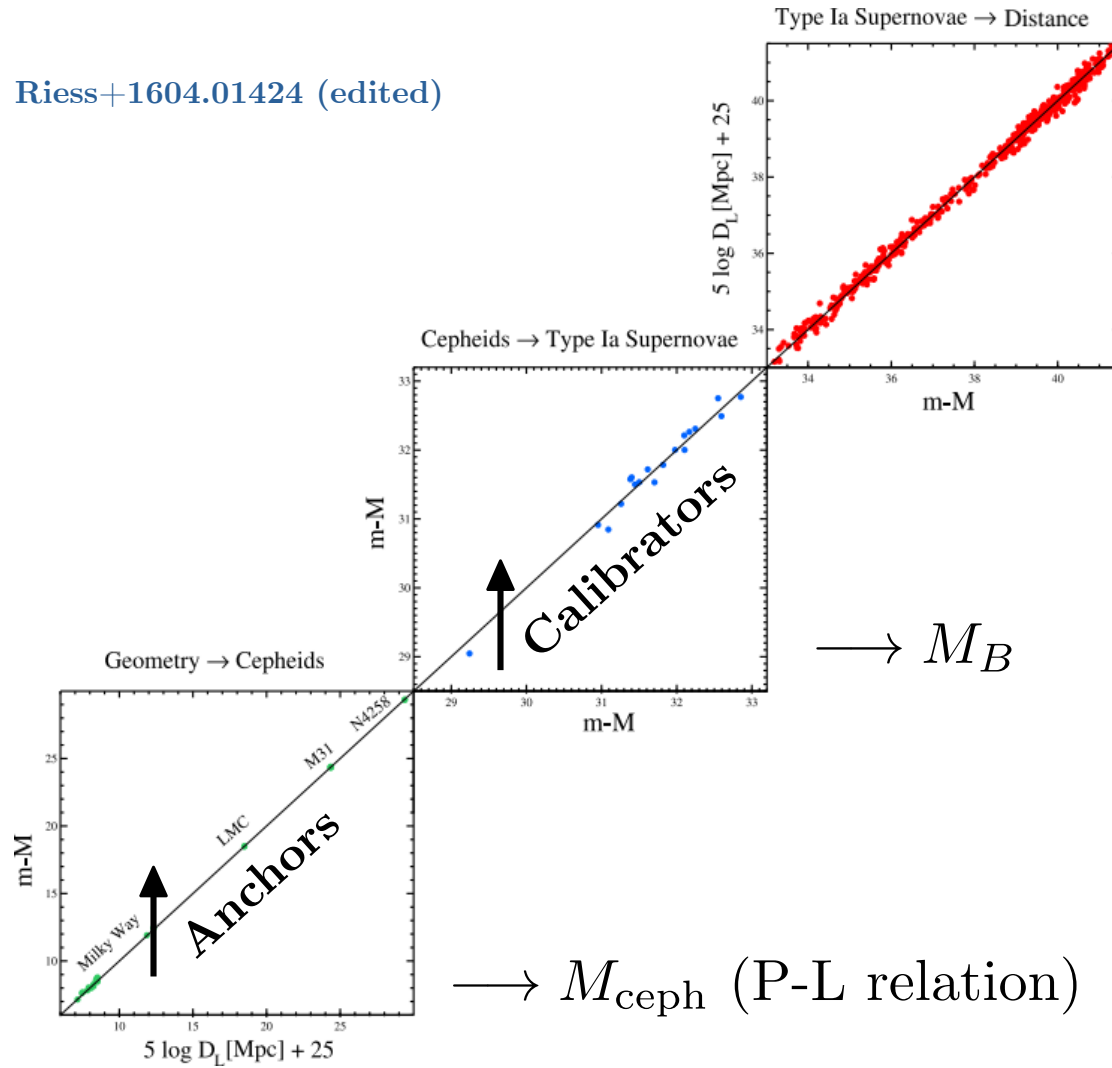


Measured Distance

Riess+1604.01424 (edited)

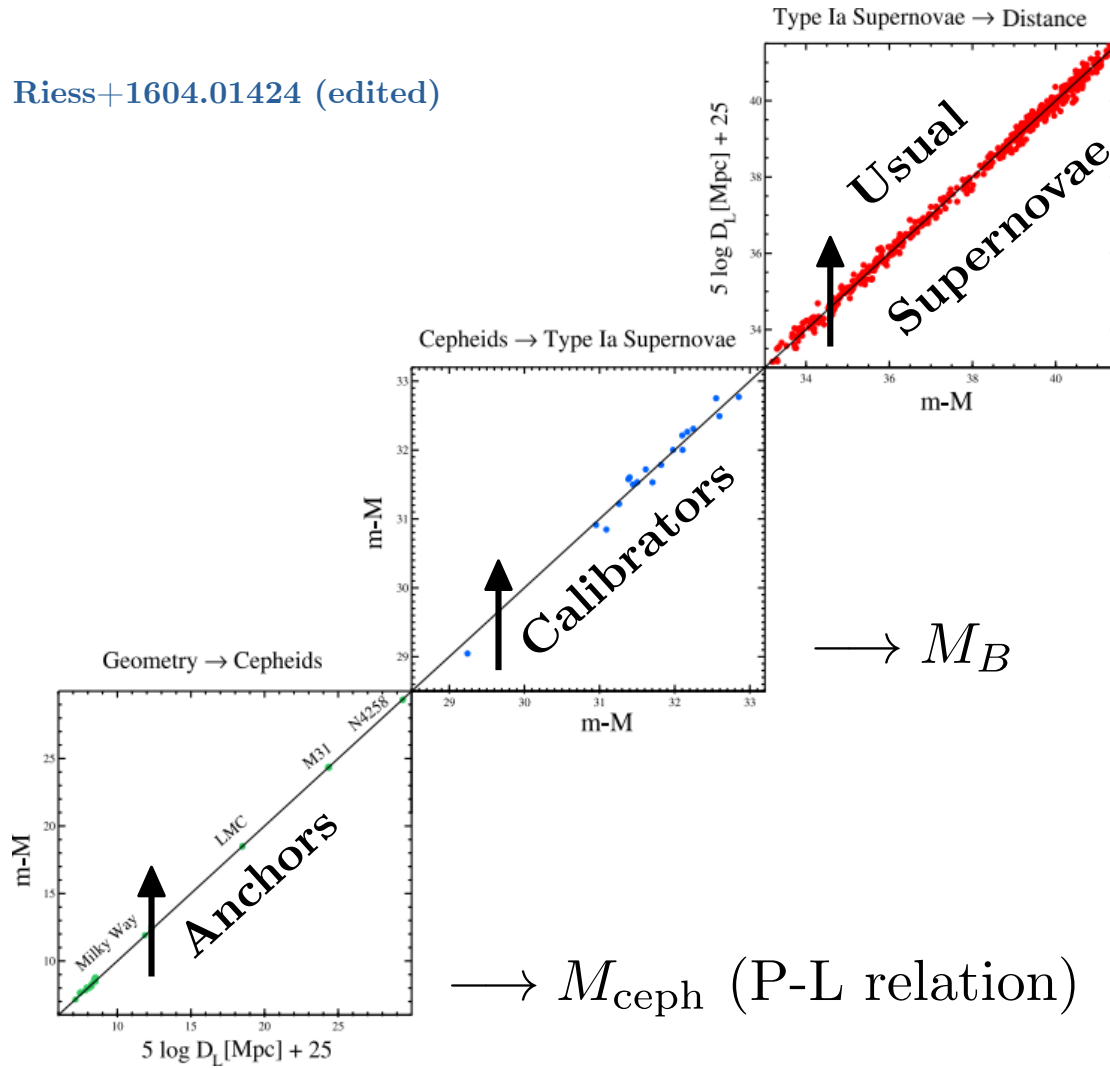


Riess+1604.01424 (edited)





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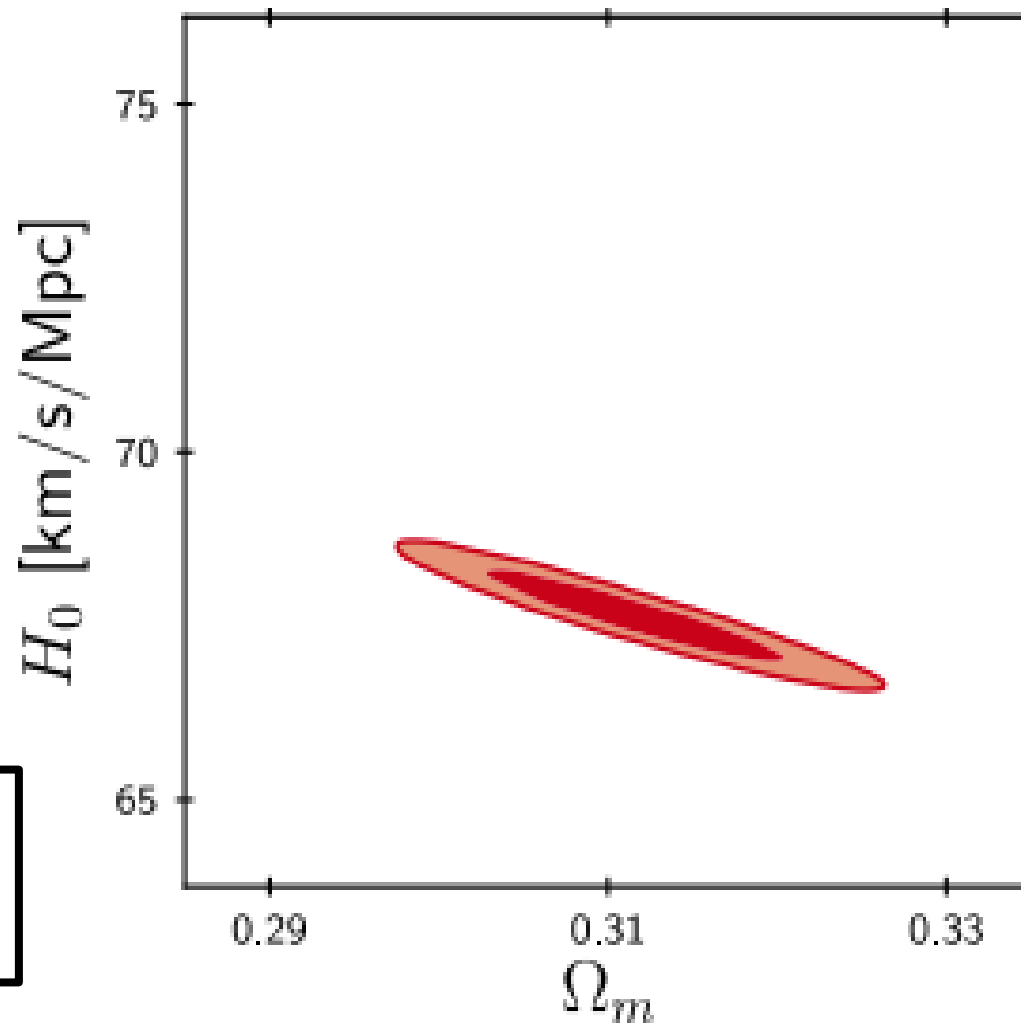
$\rightarrow D_L$

+ (measured)  $z \rightarrow H_0$

$\rightarrow M_B$

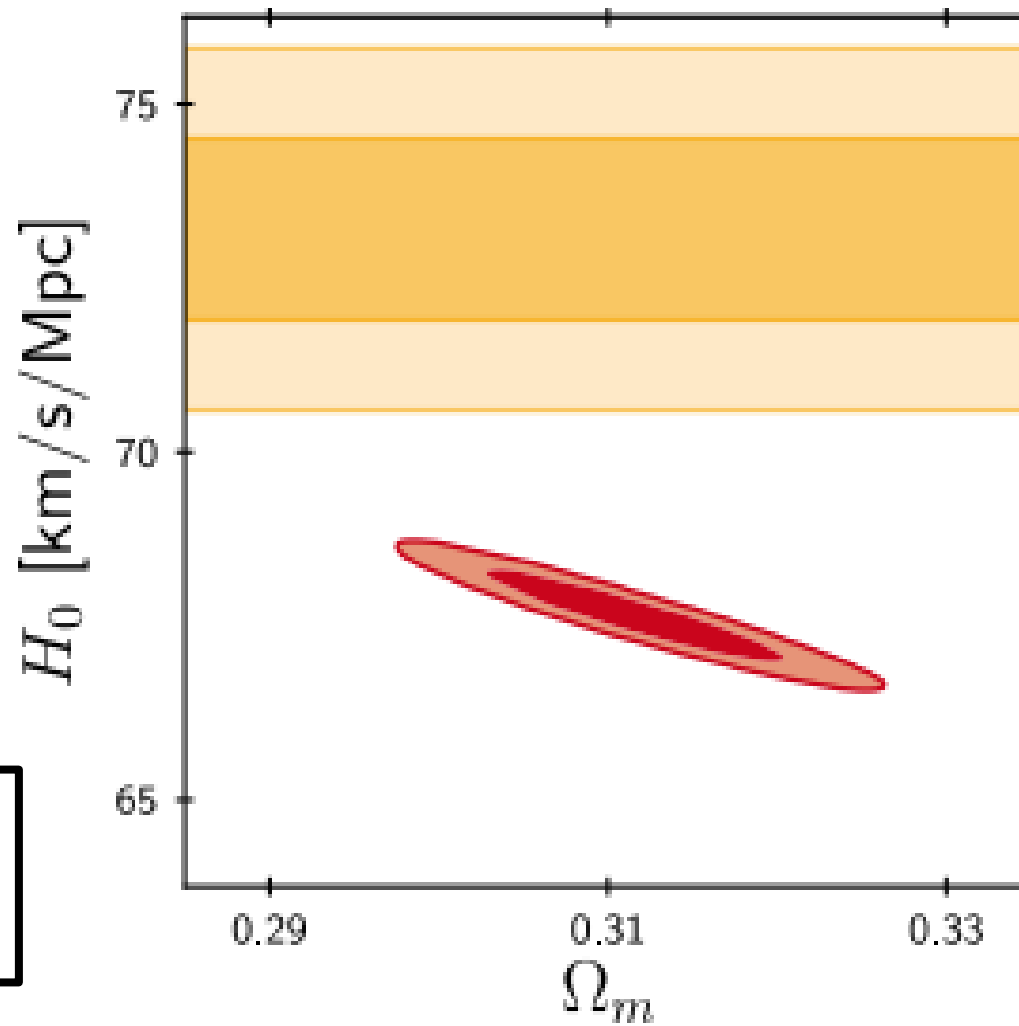
$\rightarrow M_{\text{ceph}}$  (P-L relation)

# THE HUBBLE TENSION



Planck 2018

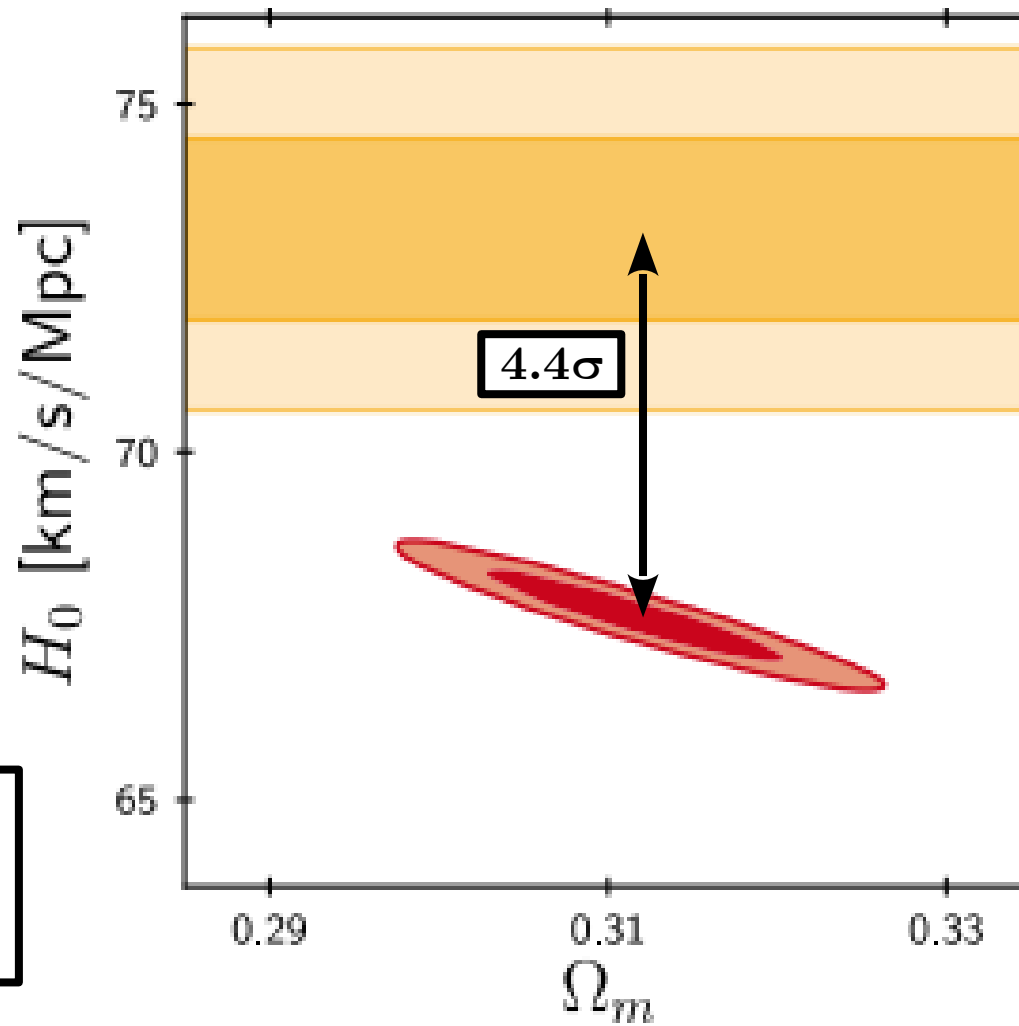
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Planck 2018

SH0ES 2020

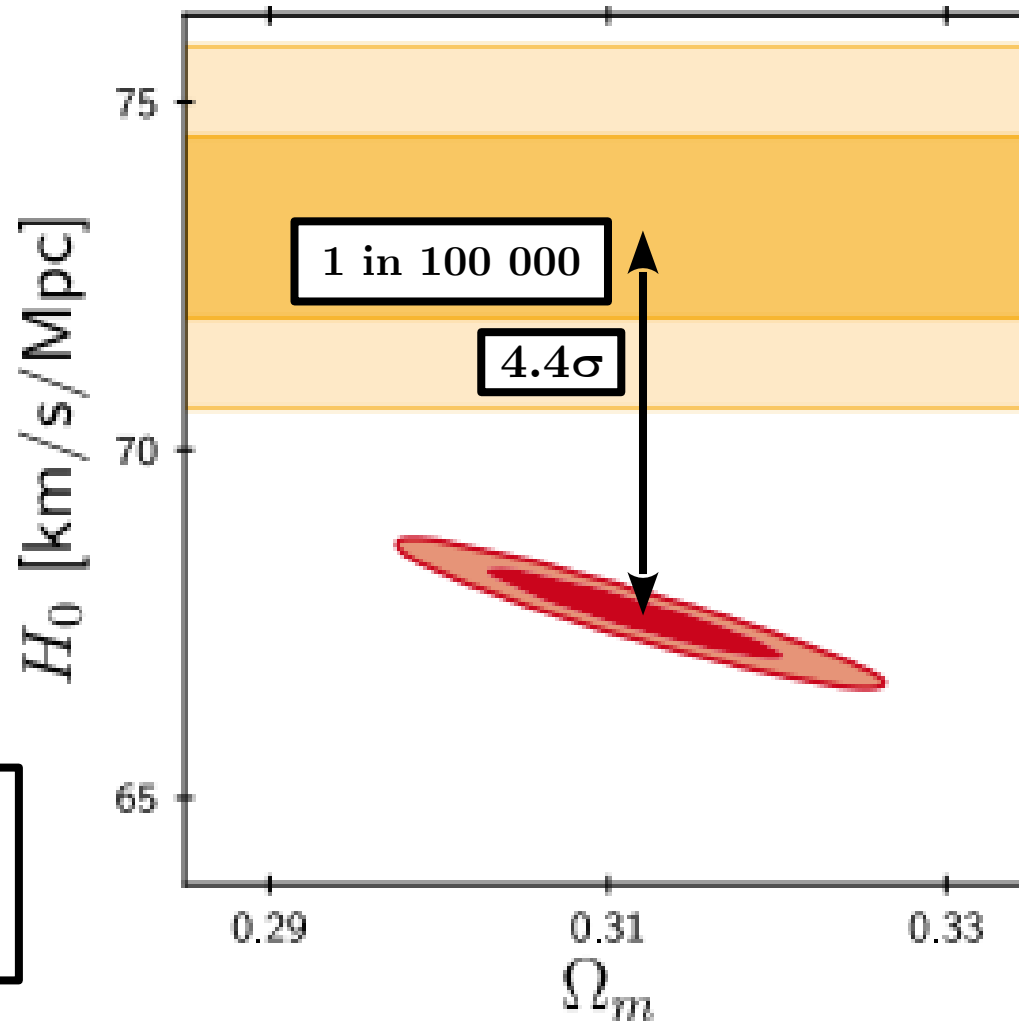
# THE HUBBLE TENSION



Planck 2018

SH0ES 2020

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Planck 2018

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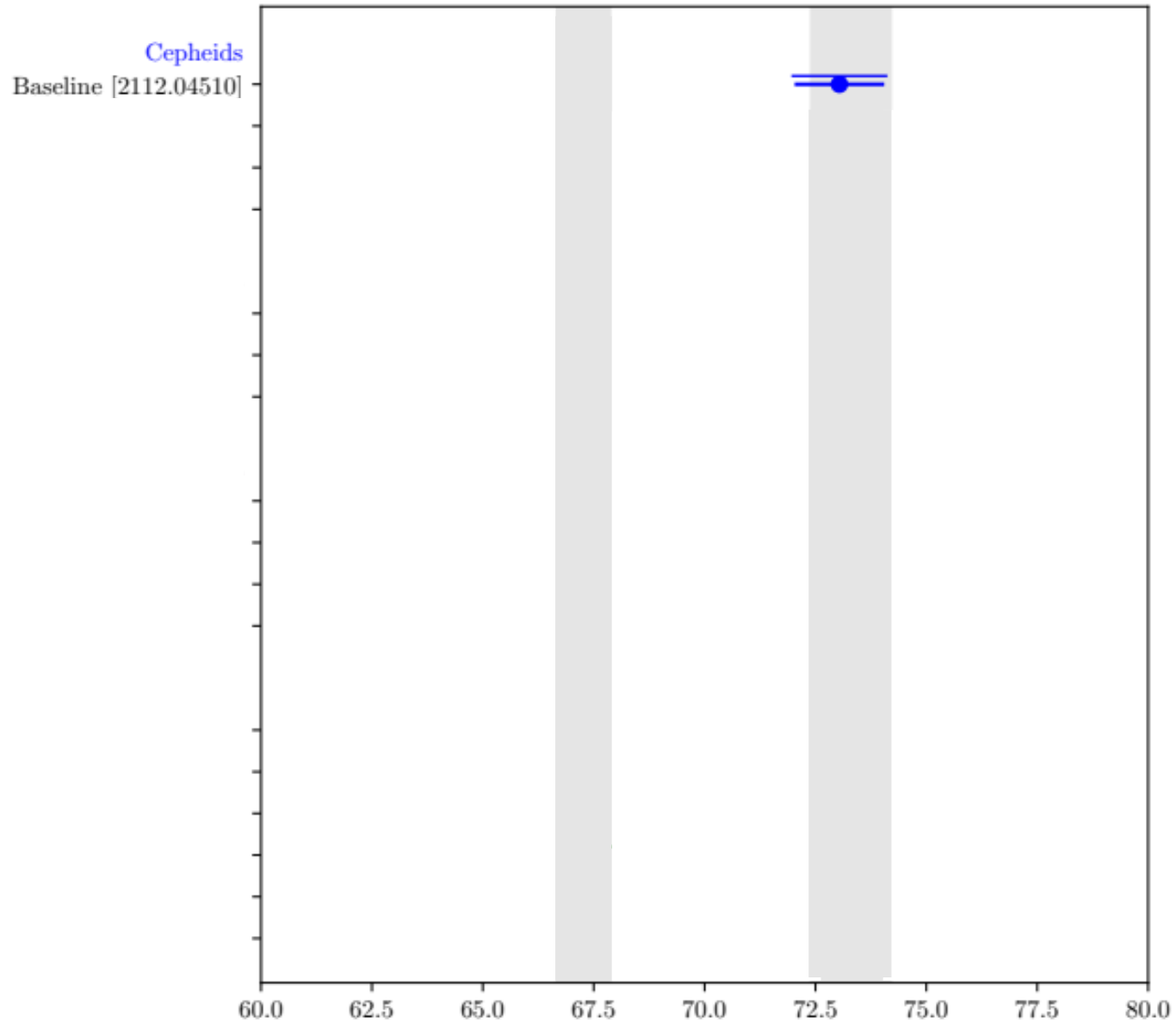
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- Not understanding Supernovae Ia...
- Not understanding Cepheids...
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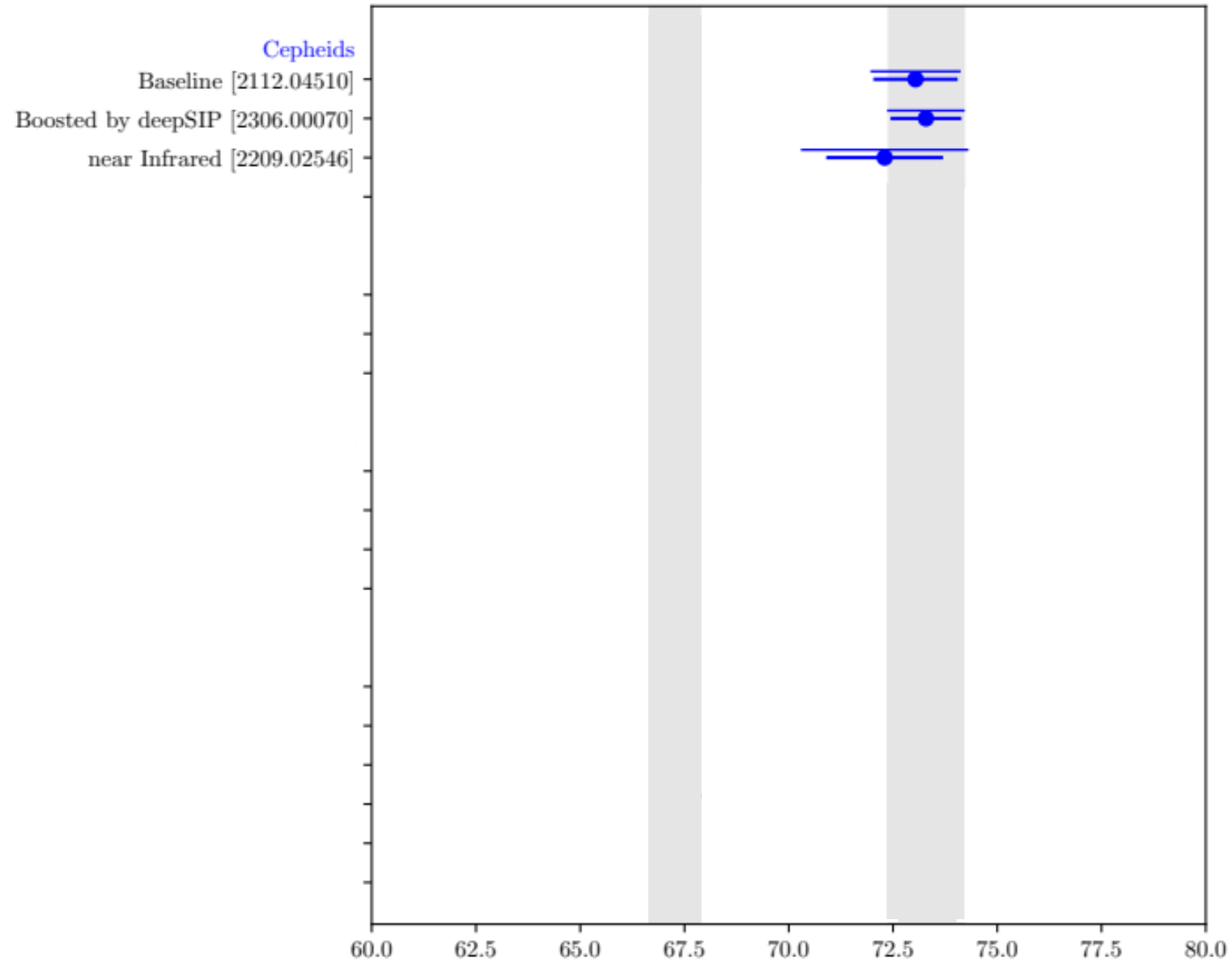
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Verde,Schöneberg,Gil-Marin (upcoming review in ARAA)

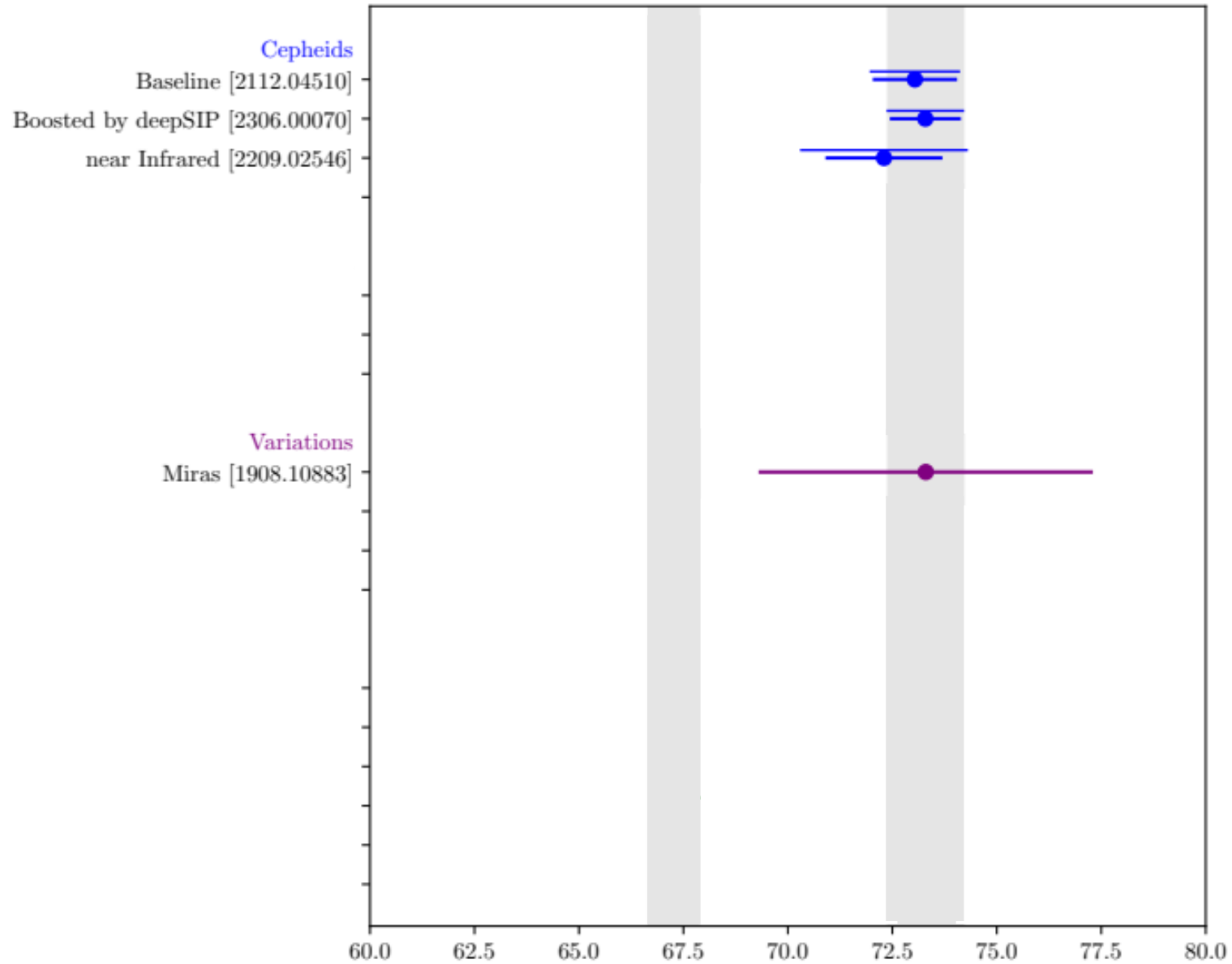




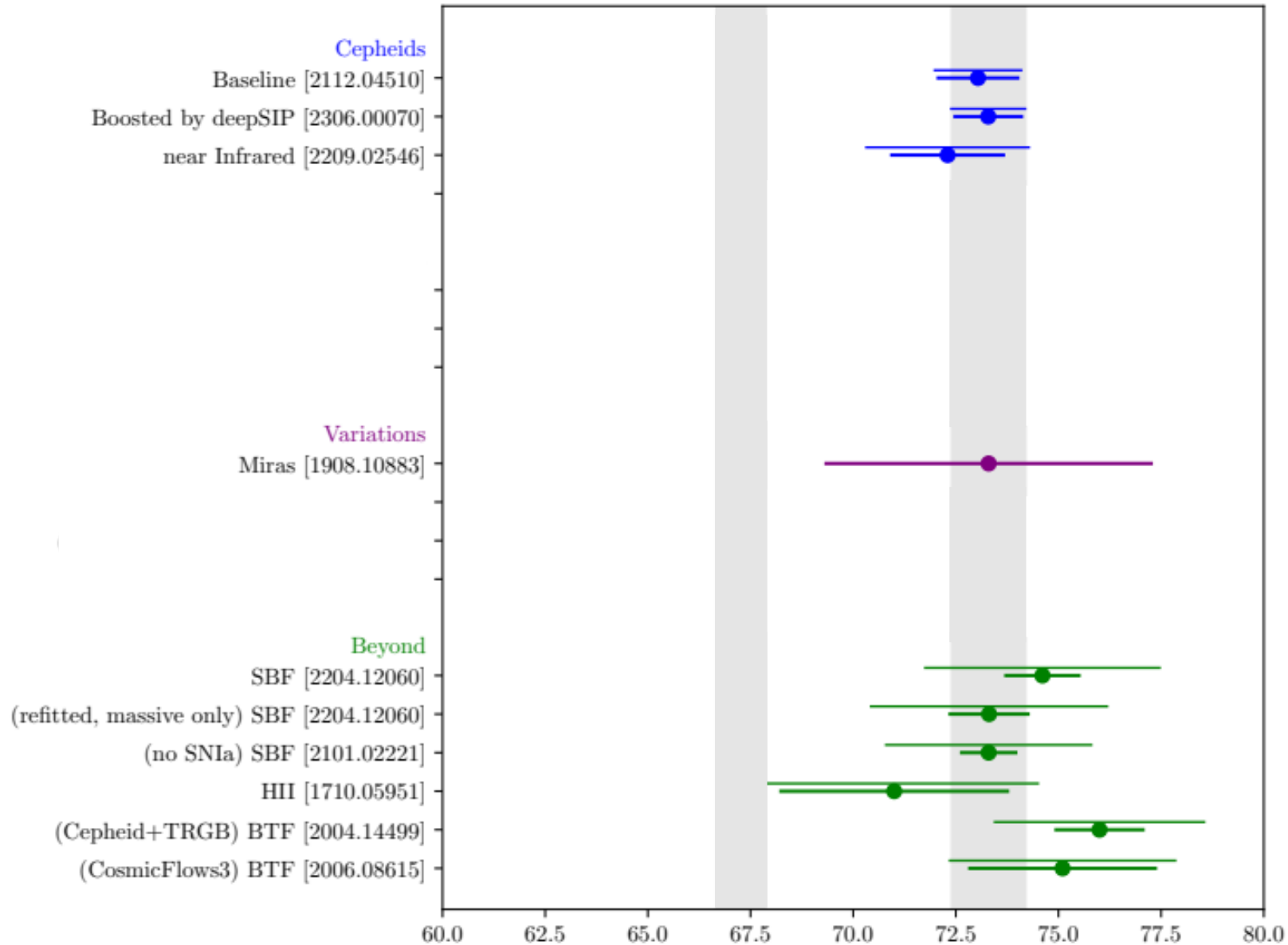
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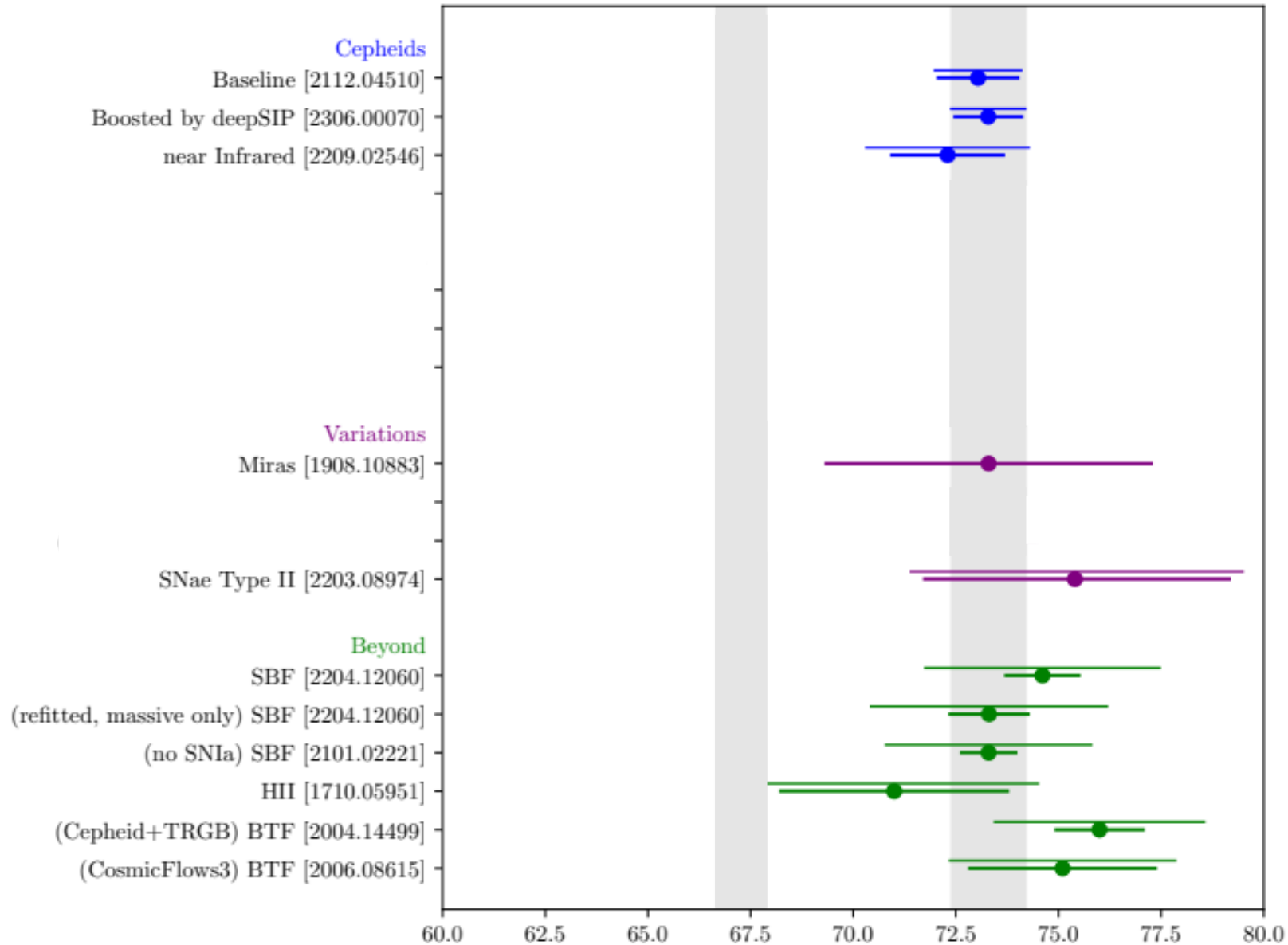
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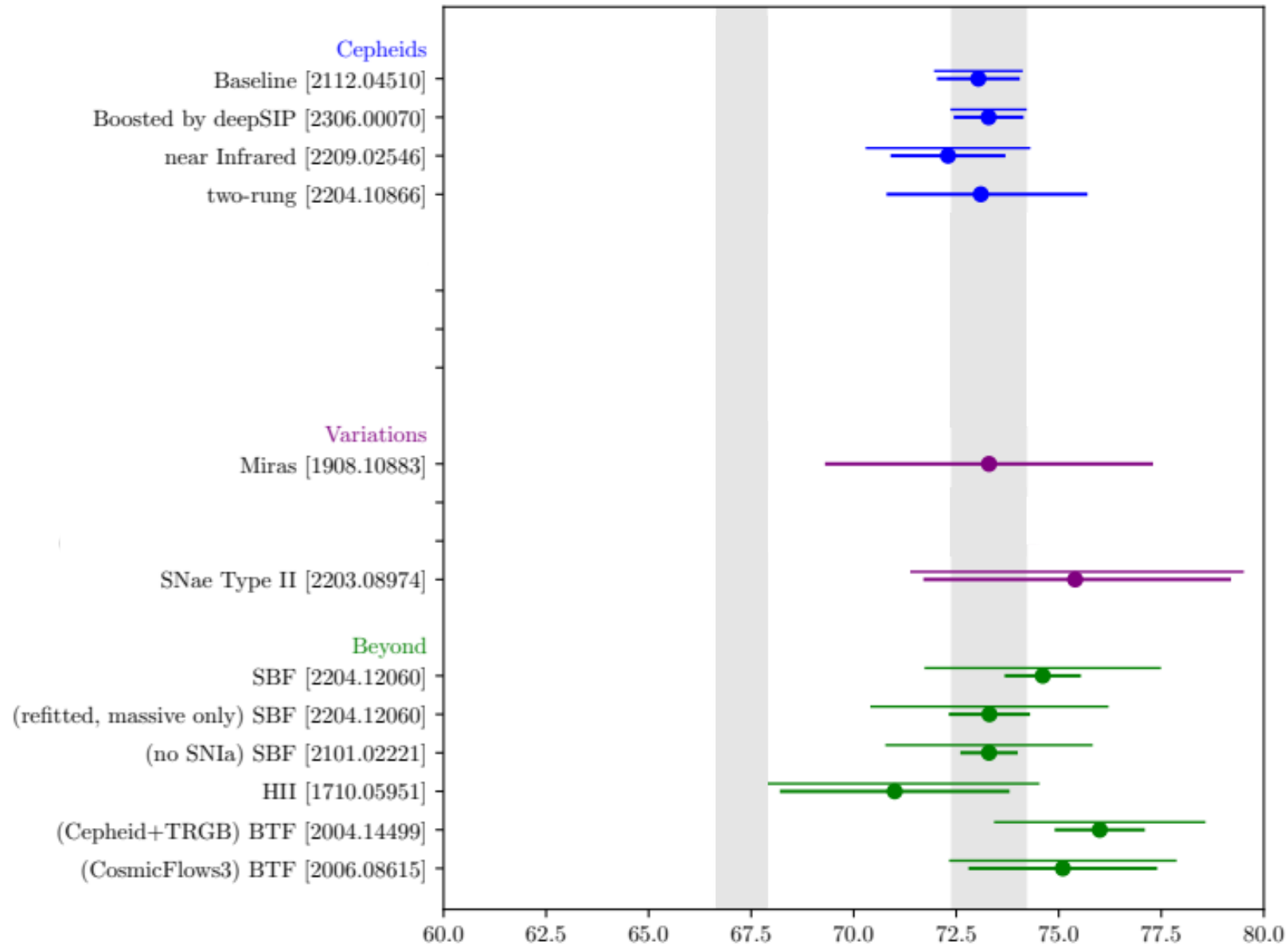
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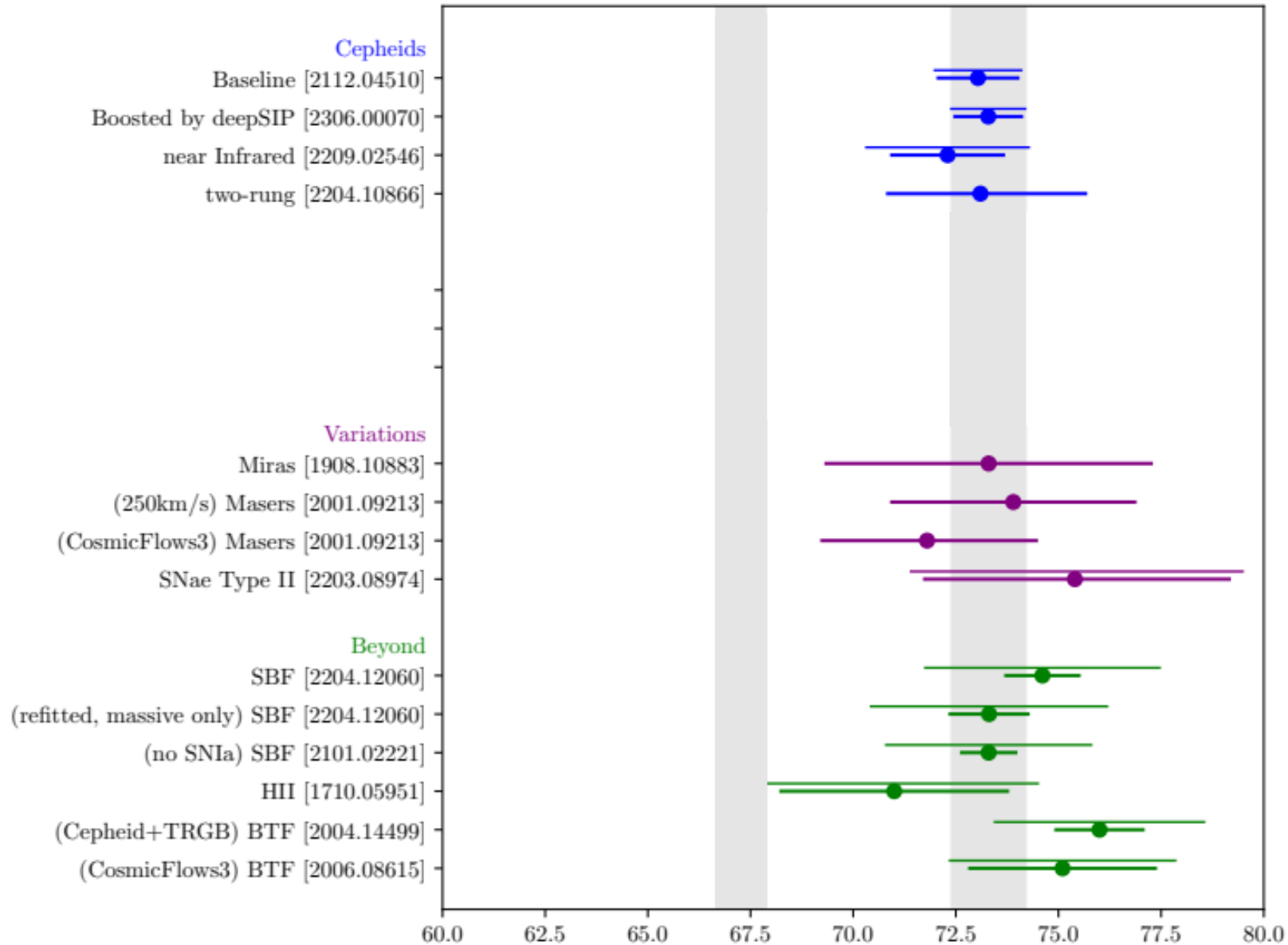
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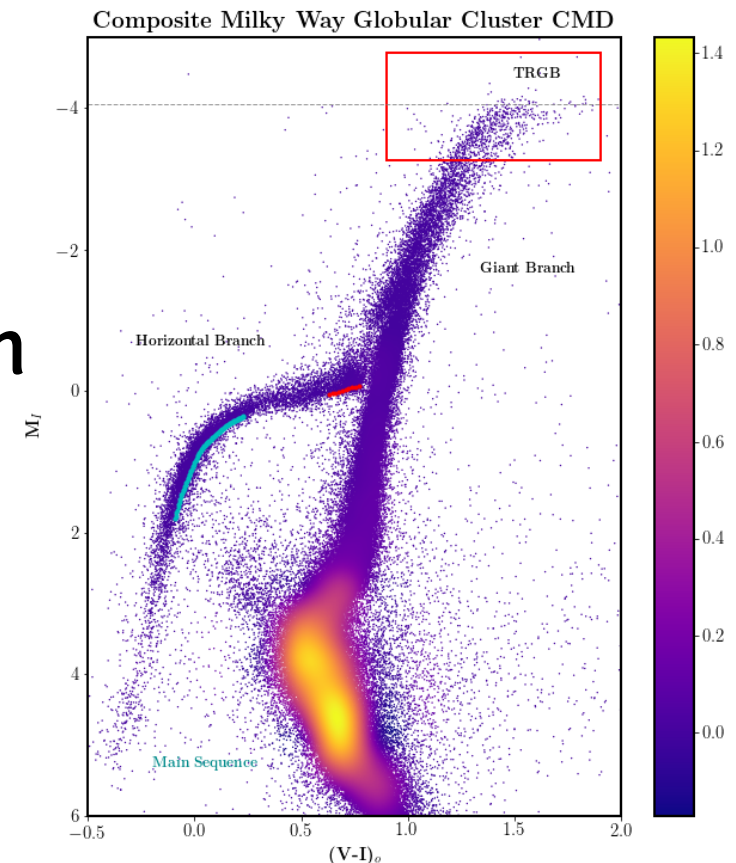


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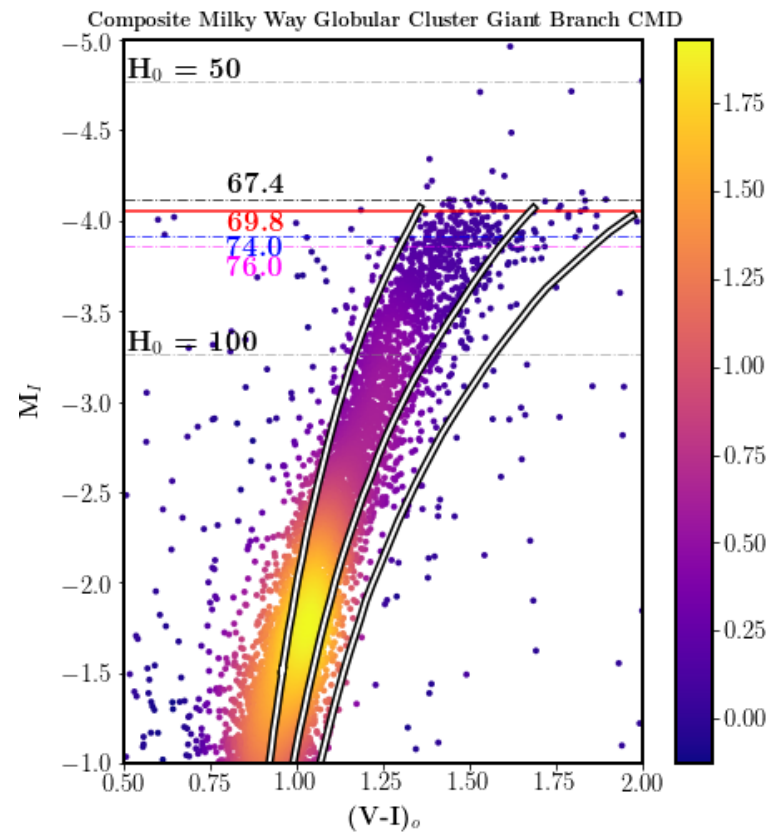
# SHORT INTERLUDE: WHAT ABOUT THE TRGB?

- TRGB = tip of red giant branch
- Red giants accumulate Helium in their cores
- Helium flash and carbon burn



# SHORT INTERLUDE: WHAT ABOUT THE TRGB?

Estimate the intrinsic magnitude  
from where population of stars  
abruptly ends

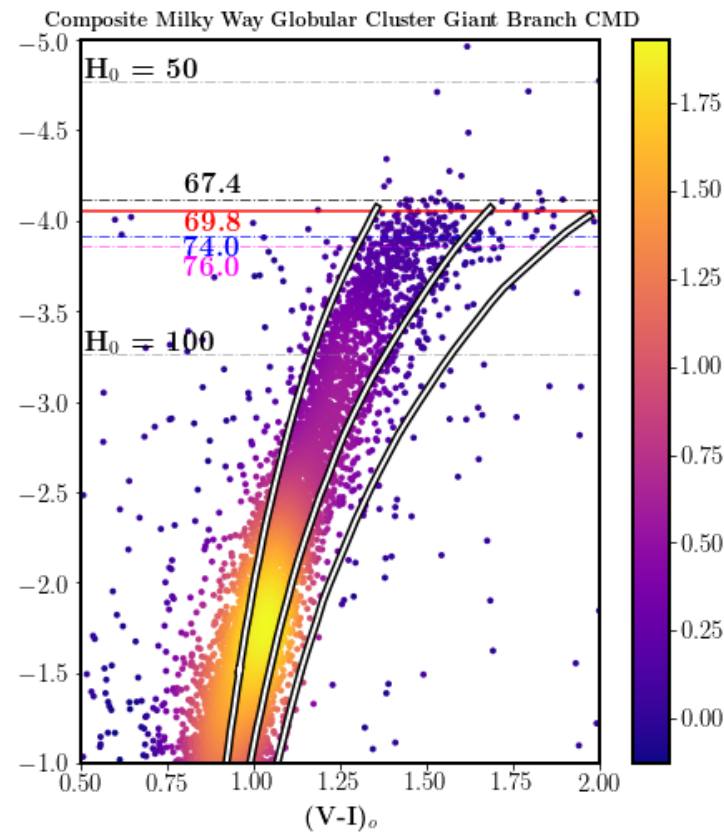
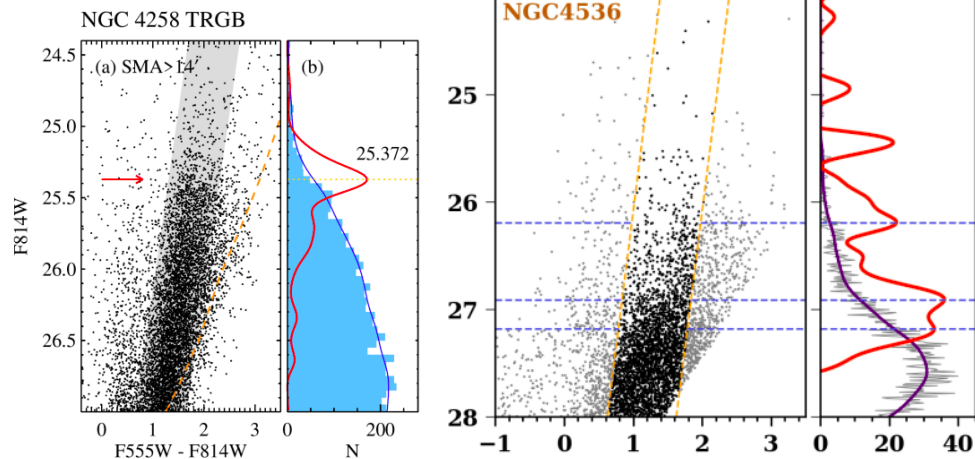




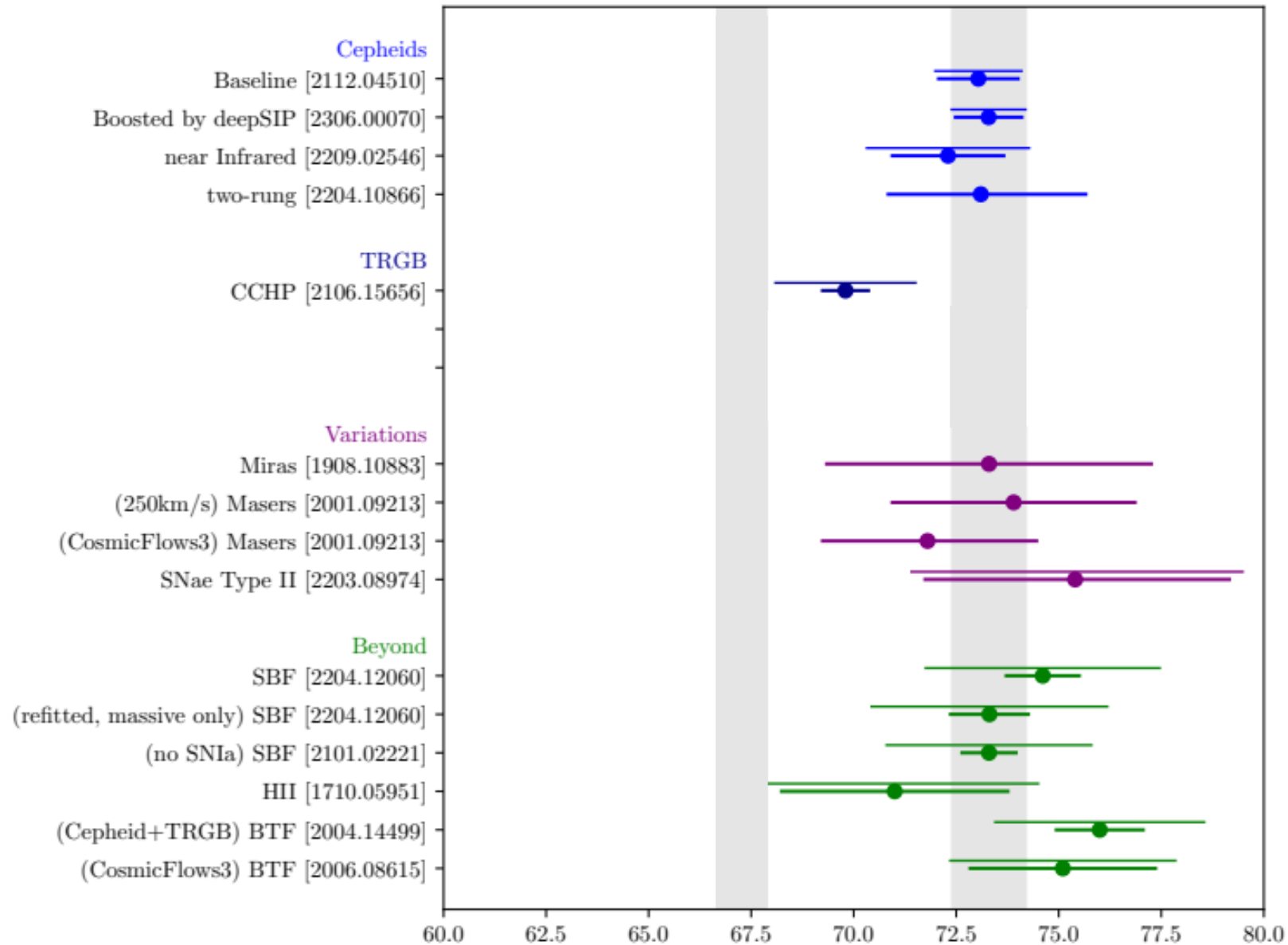
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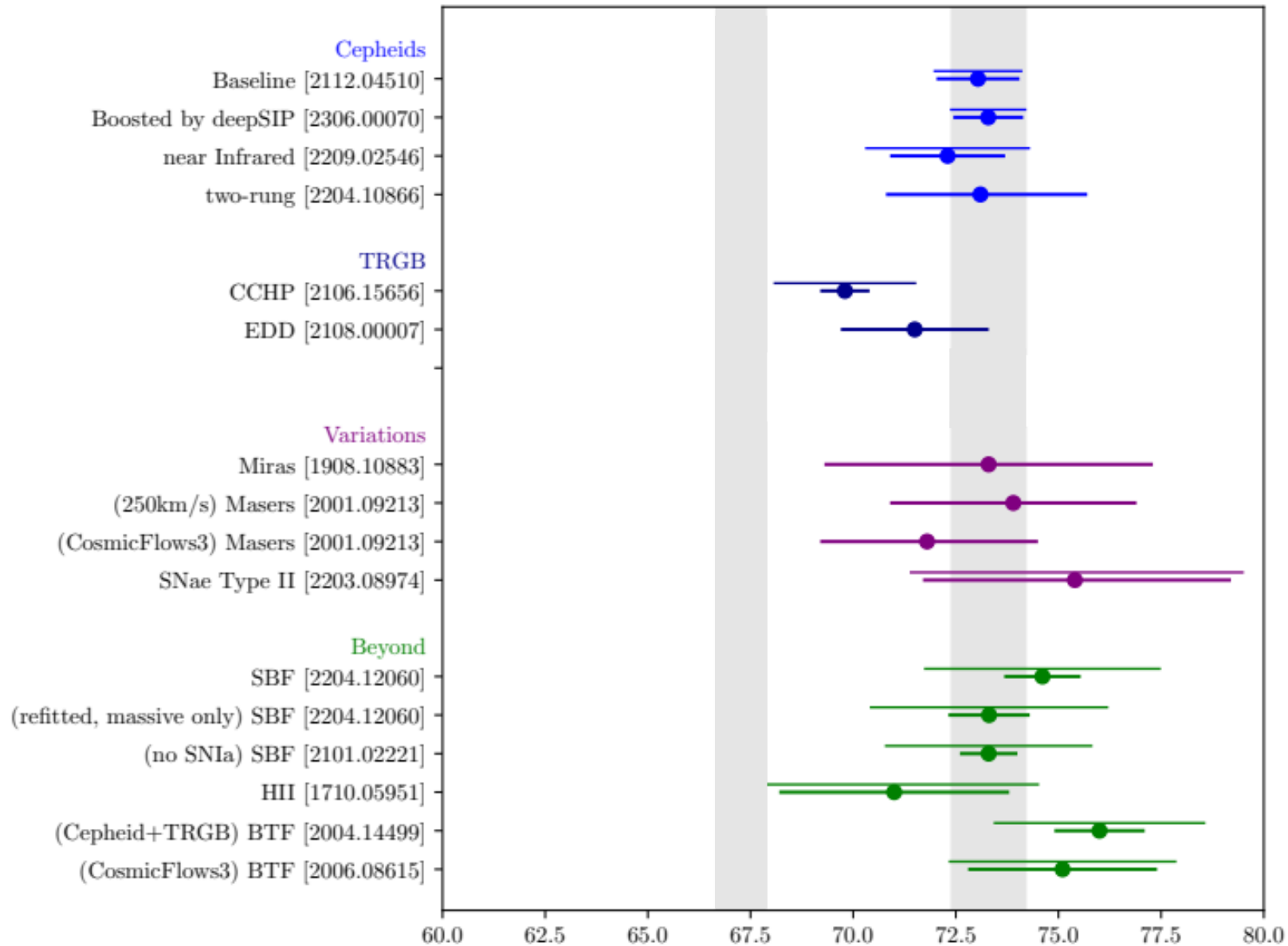
Issue:  
What is *abruptly*?



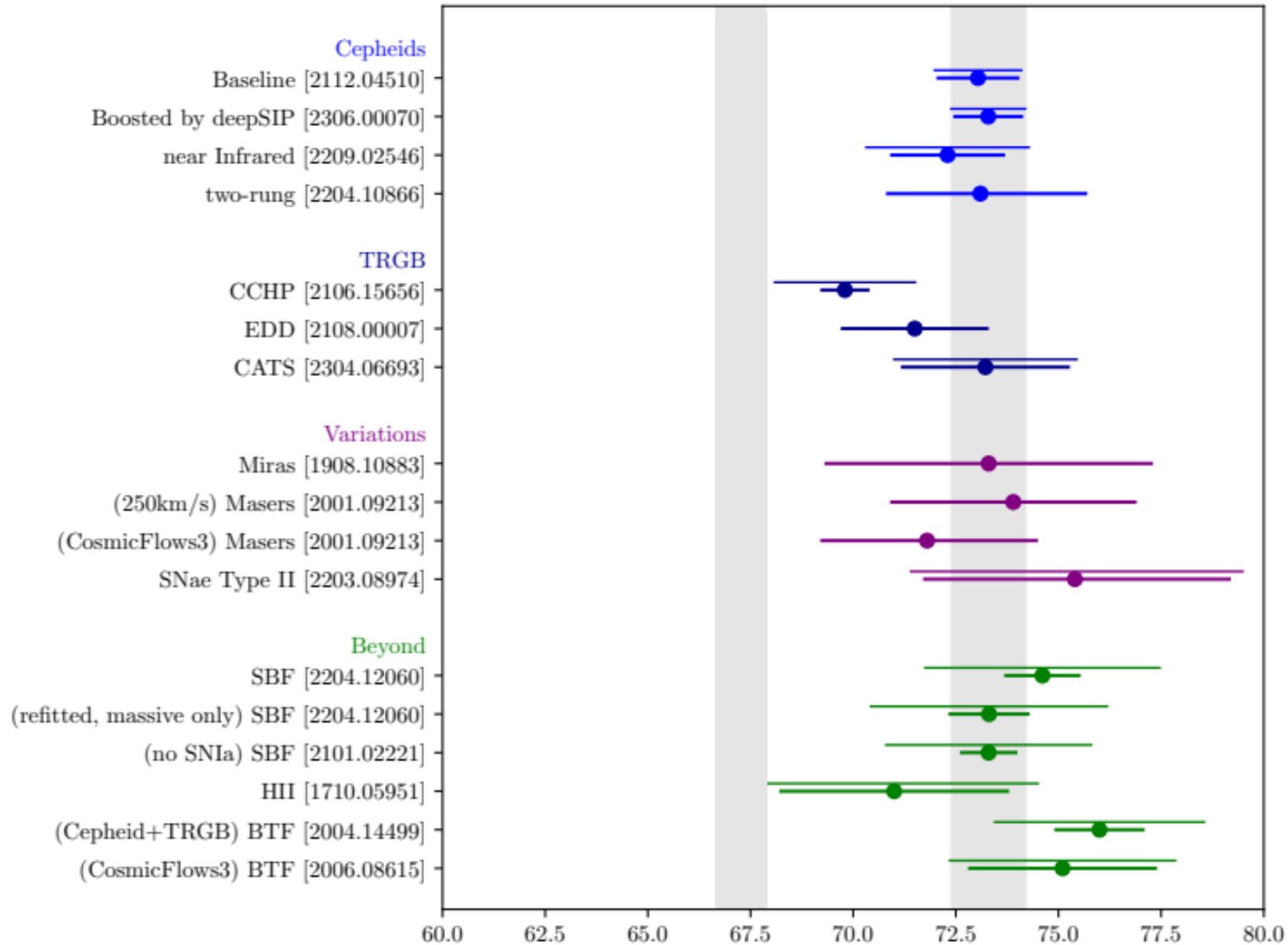
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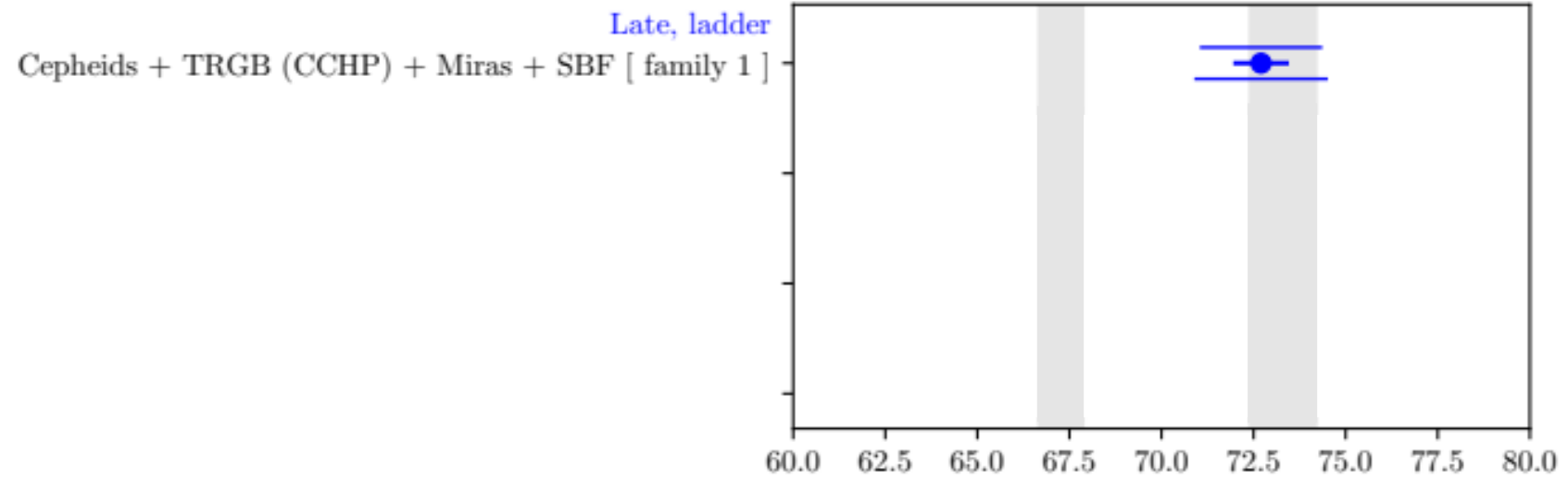
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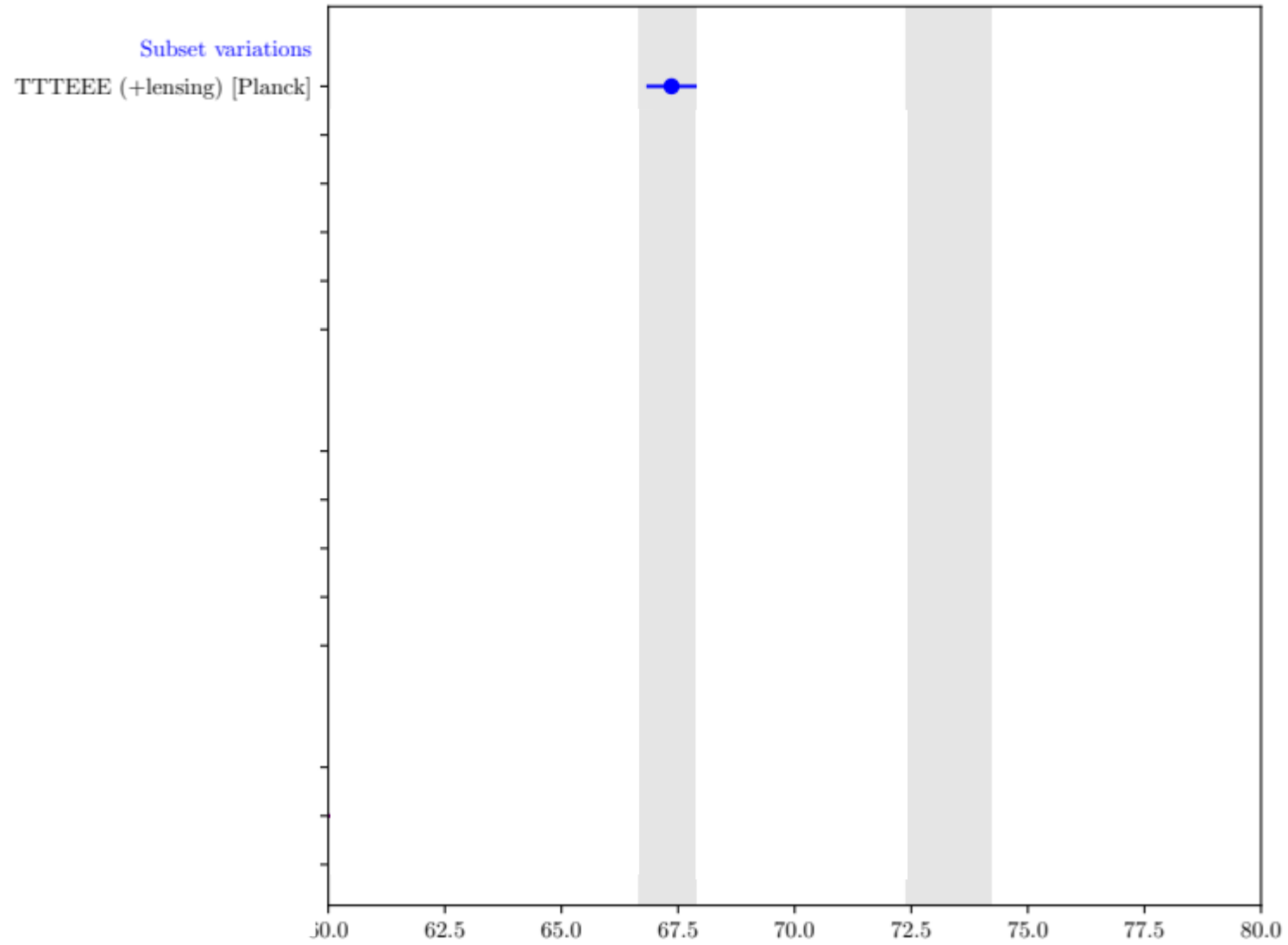
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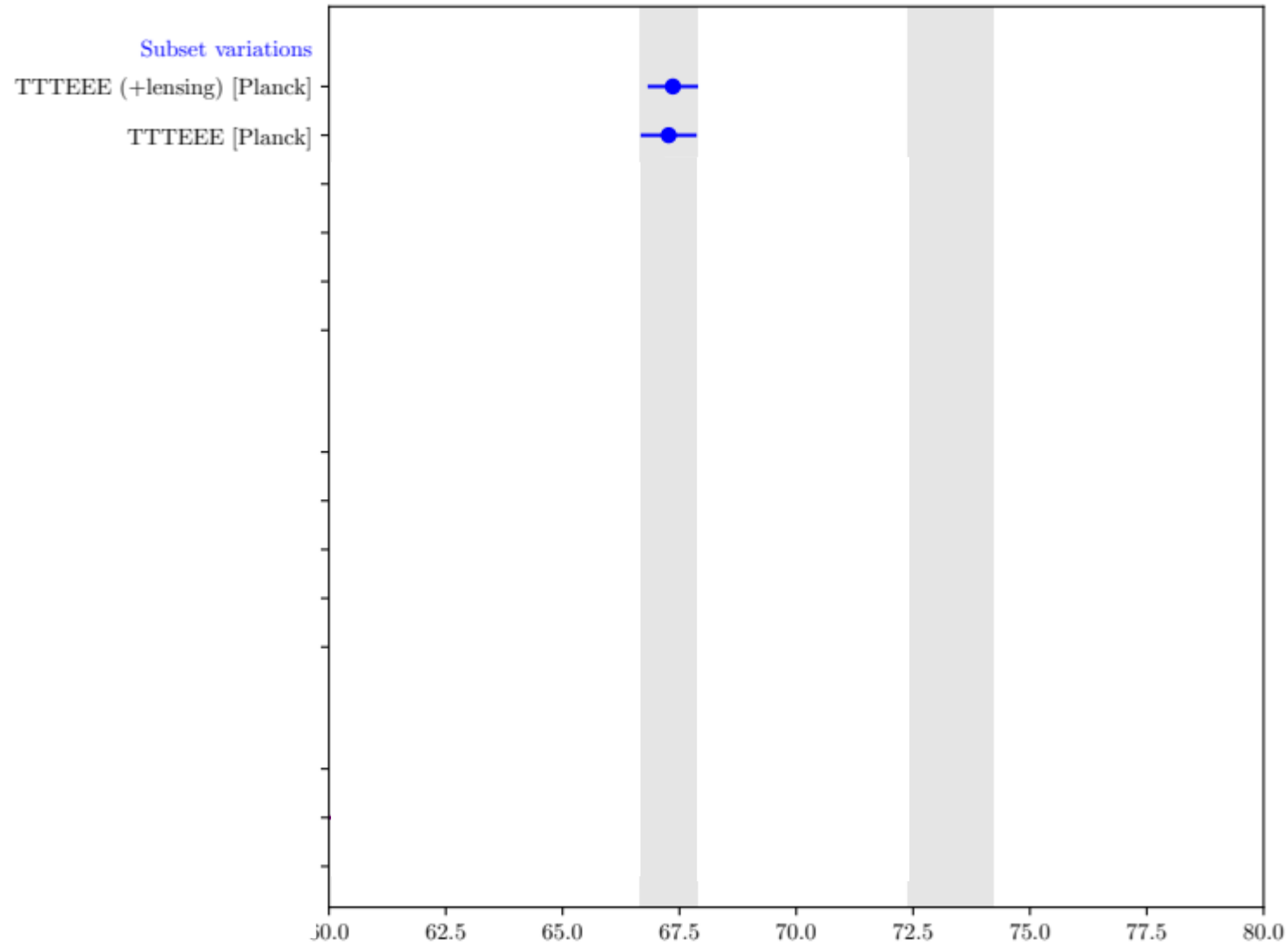
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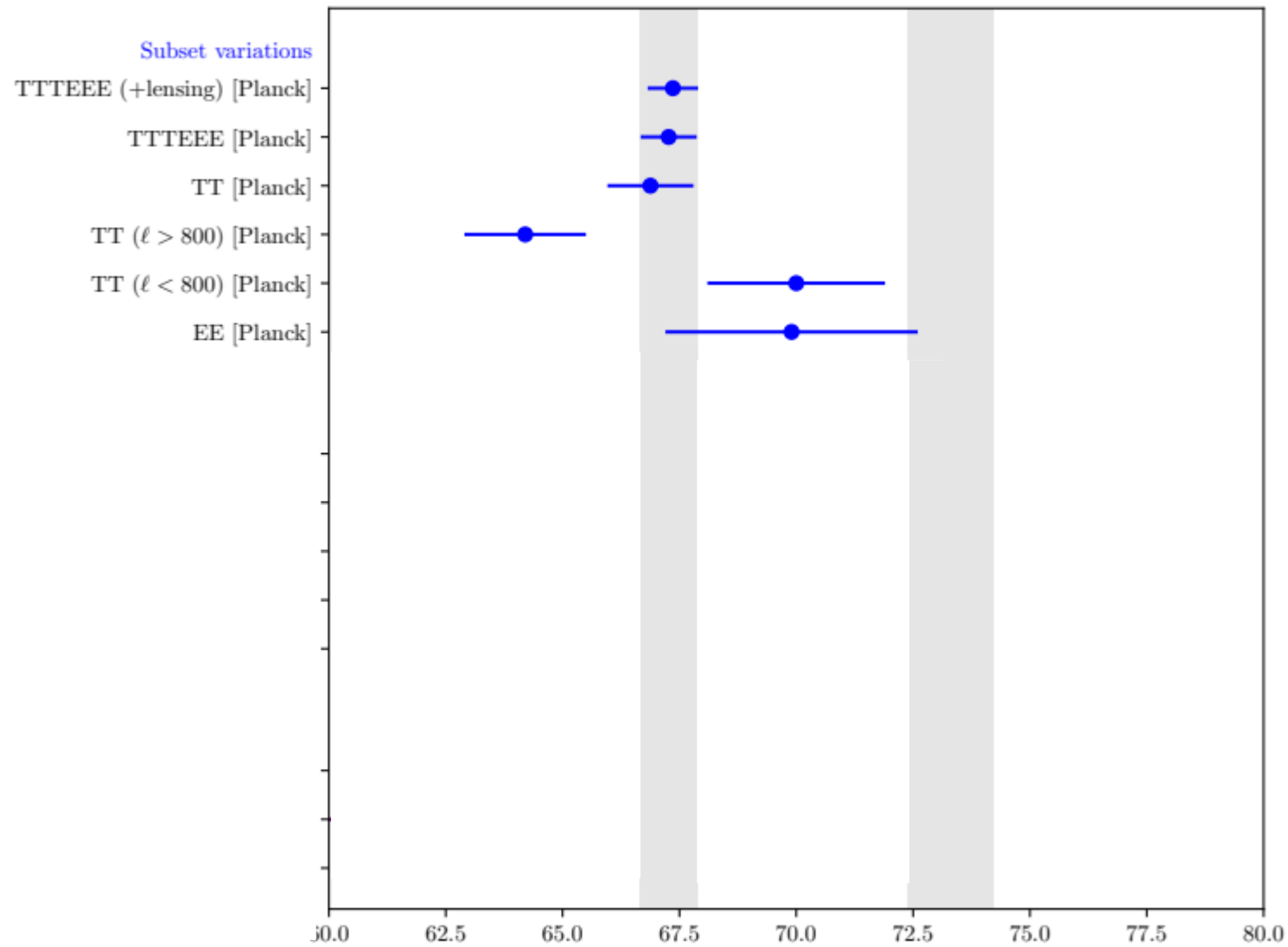


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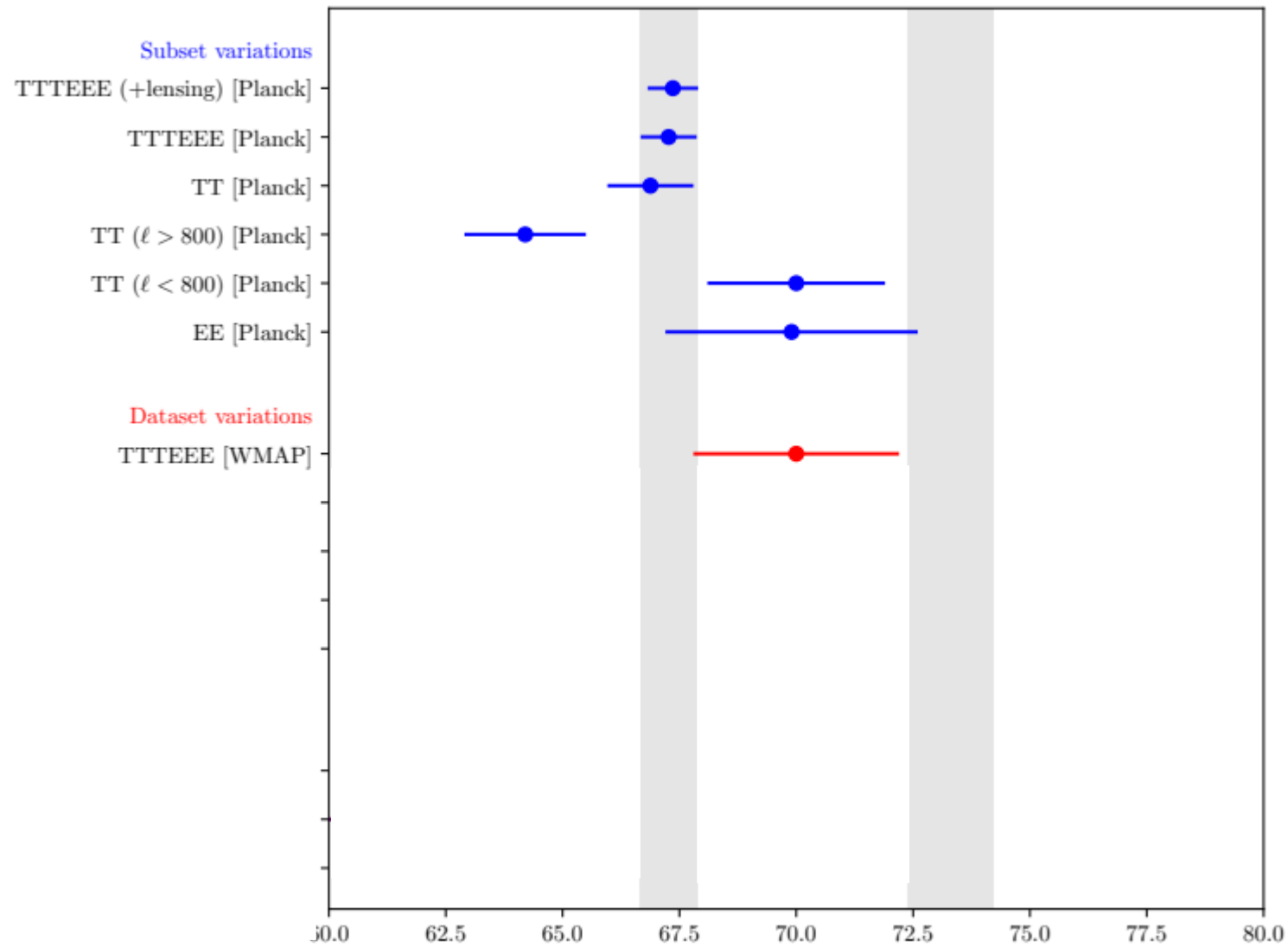




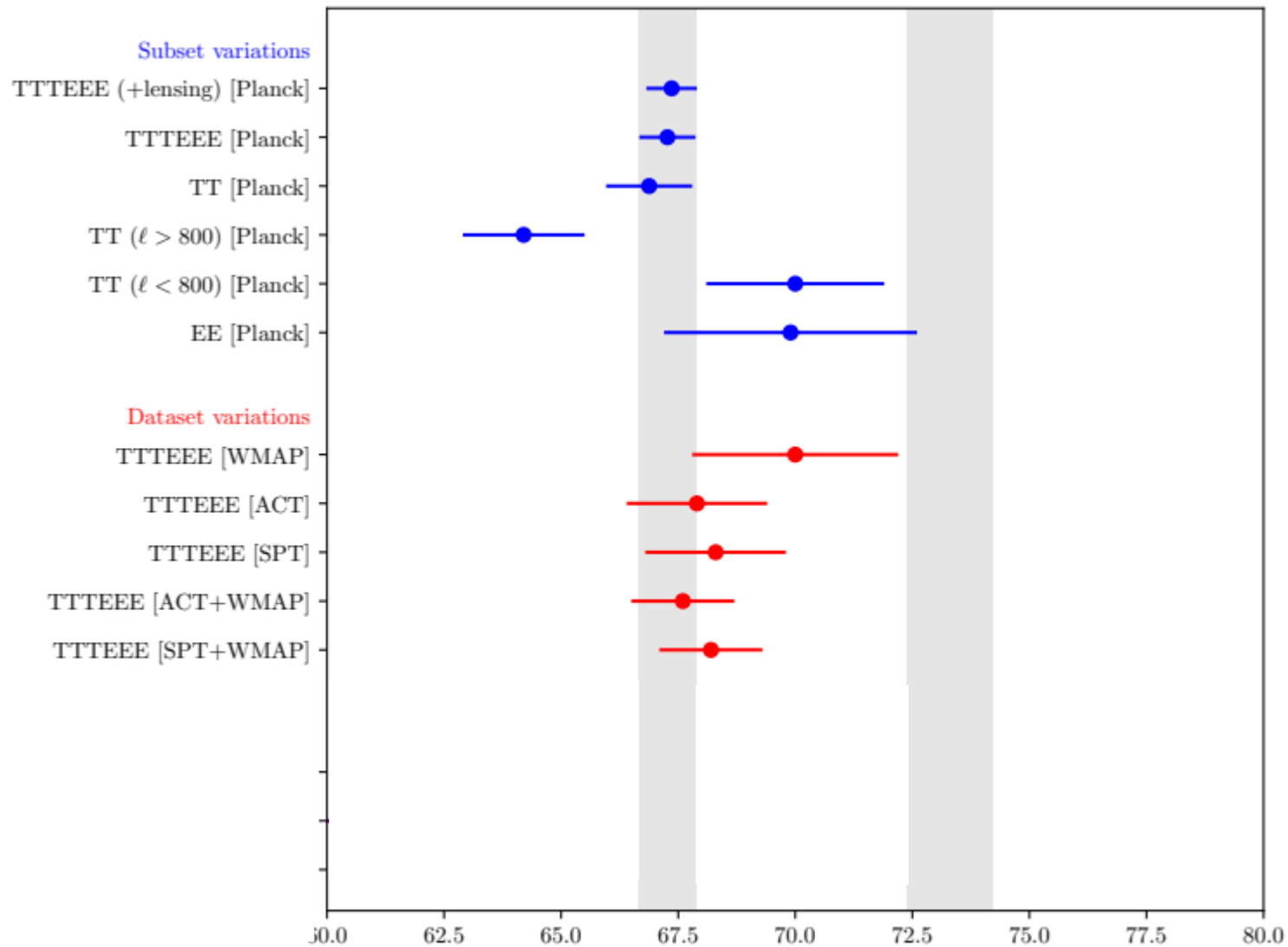
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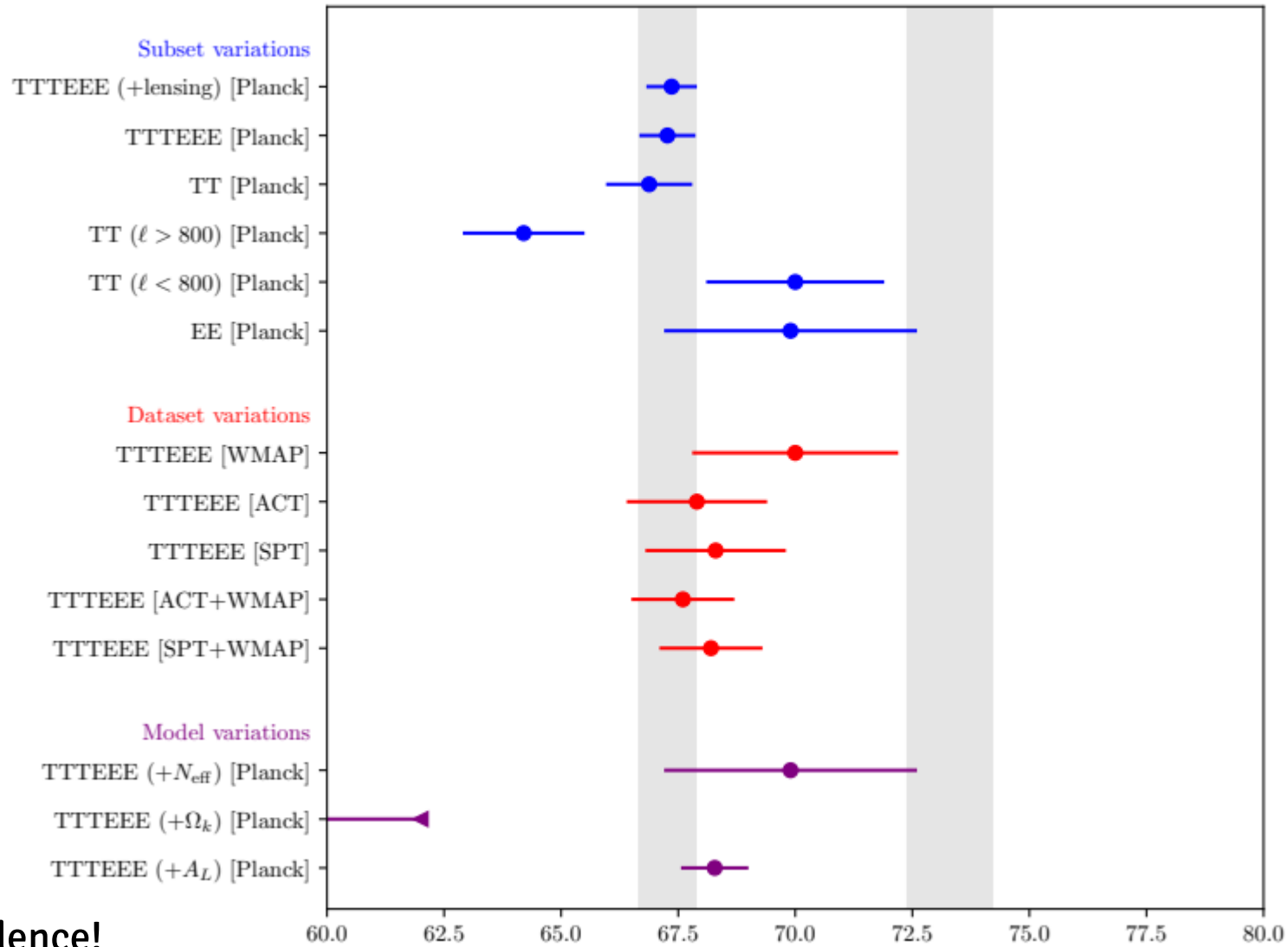
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Model-dependence!

## WHAT TO DO?

Given that the CMB appears to be

- model dependent
- only inferring  $H_0$  very indirectly

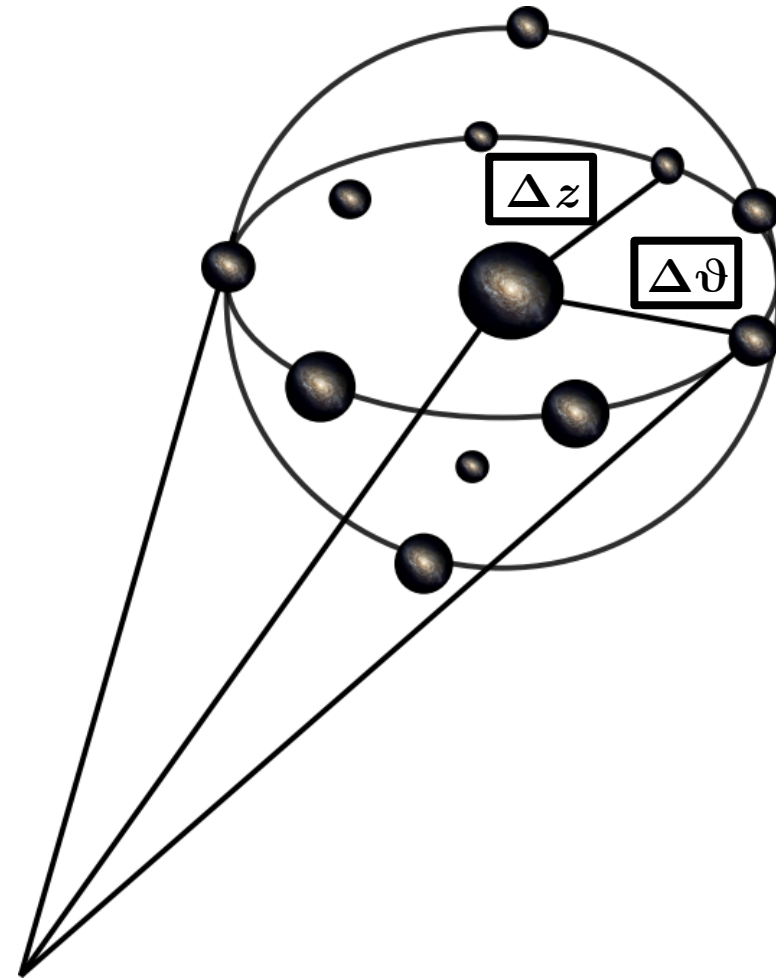
we might use **independent confirmation!**

# BAO+BBN – A CLOSER LOOK

# BAO AND THE SOUND HORIZON

## GENERAL IDEA:

1) BAO determines  $\Omega_m$  and  $H_0 r_s$

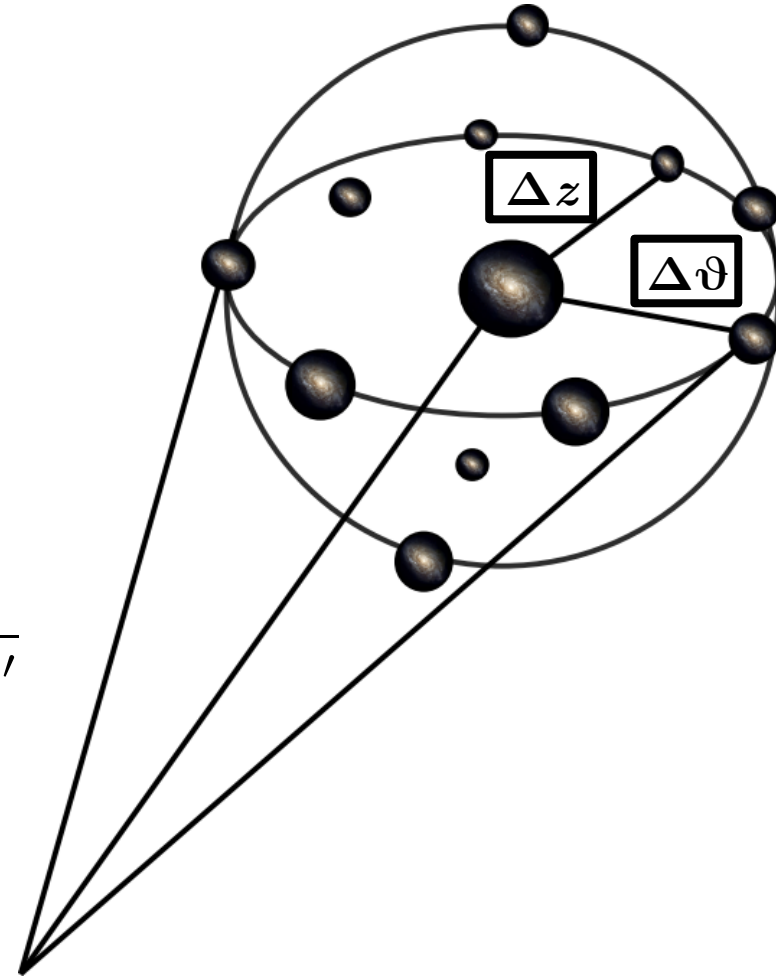


# BAO AND THE SOUND HORIZON

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$$\Delta z \approx \frac{hr_s}{1/(H(z)/h)} \quad \Delta \vartheta \approx \frac{hr_s}{\int_0^z H(z')/h dz'}$$





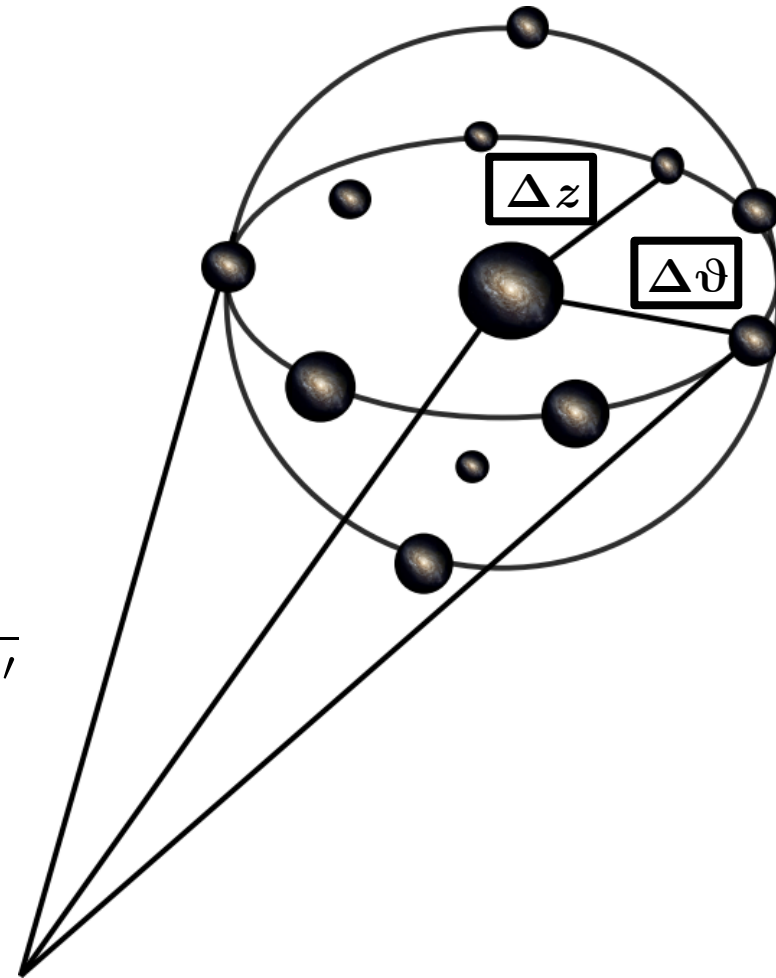
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$$H(z)/h \approx 100 \text{ km/s/Mpc} \cdot \sqrt{\Omega_m((1+z)^3 - 1) + 1}$$



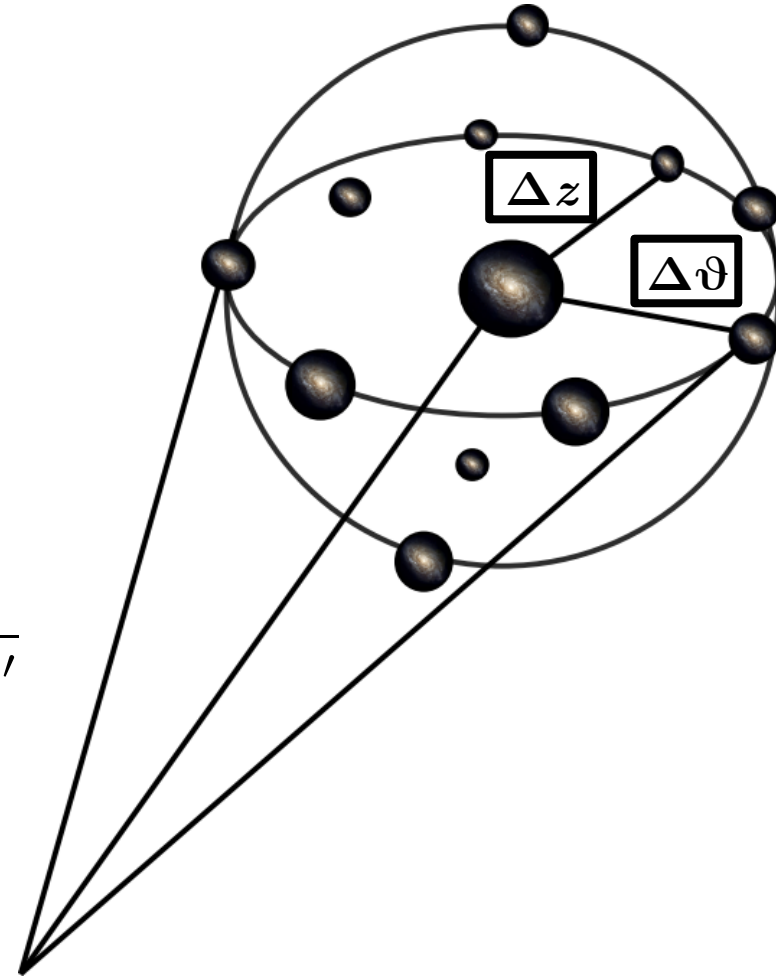
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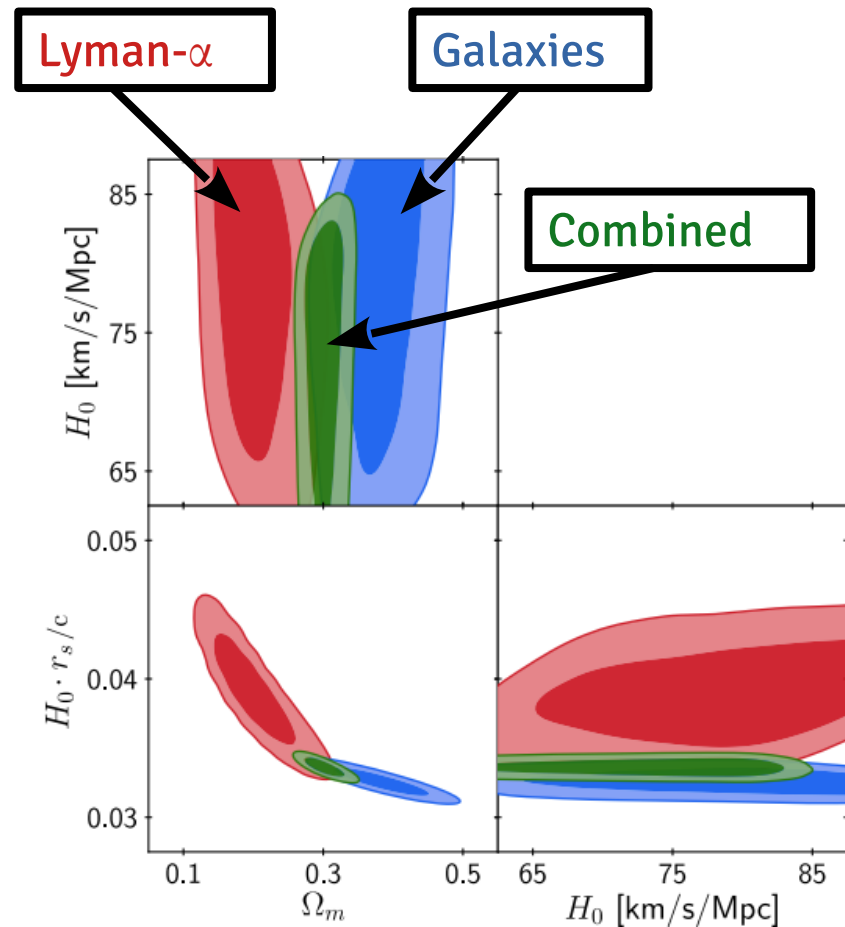
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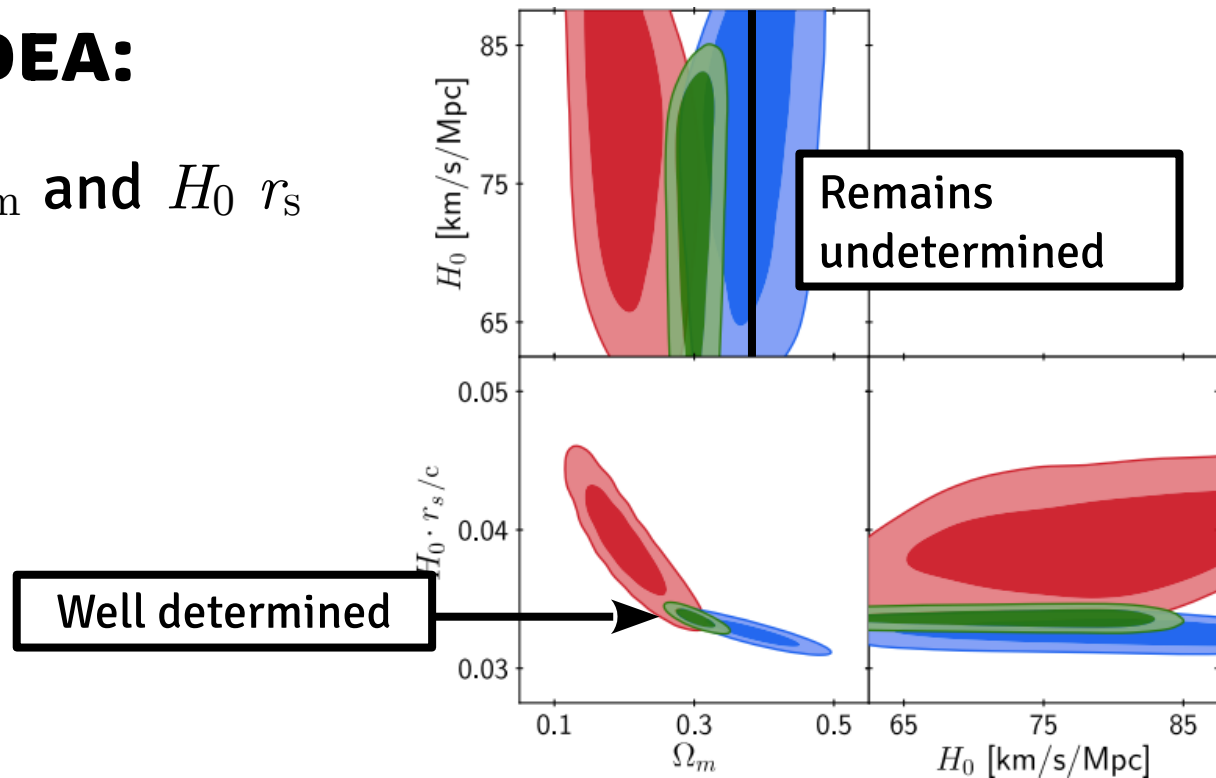
1) BAO determines  $\Omega_m$  and  $H_0$   $r_s$



# BAO + BBN

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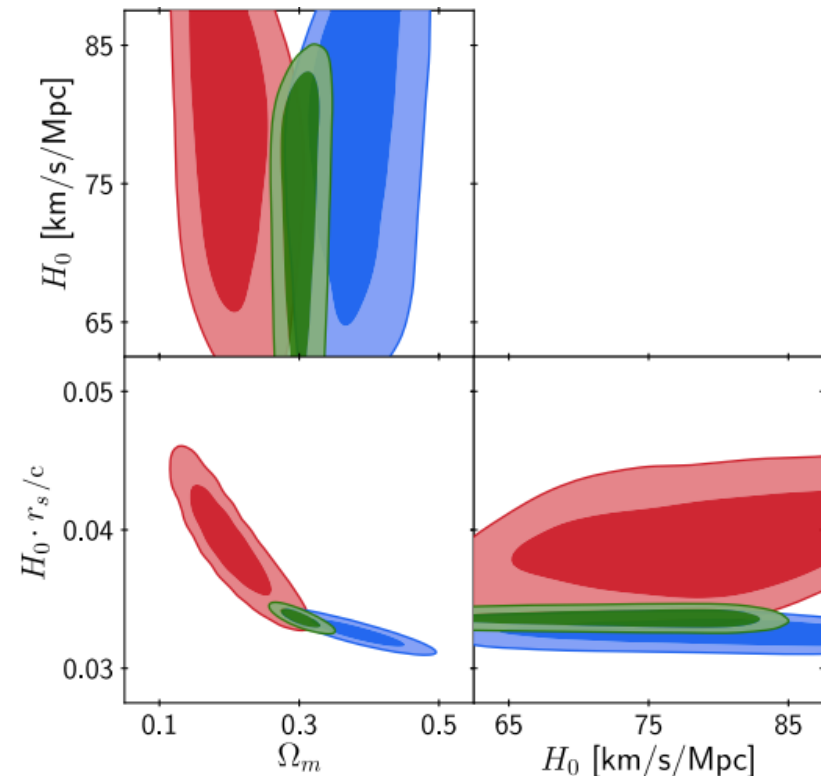
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$$H_0 r_s = \int_{z_{\text{rec}}}^{\infty} \frac{c_s(z) dz}{H(z)/H_0}$$

$T_0, \Omega_b h^2$   
 $\Omega_m, \Omega_r h^2, H_0$



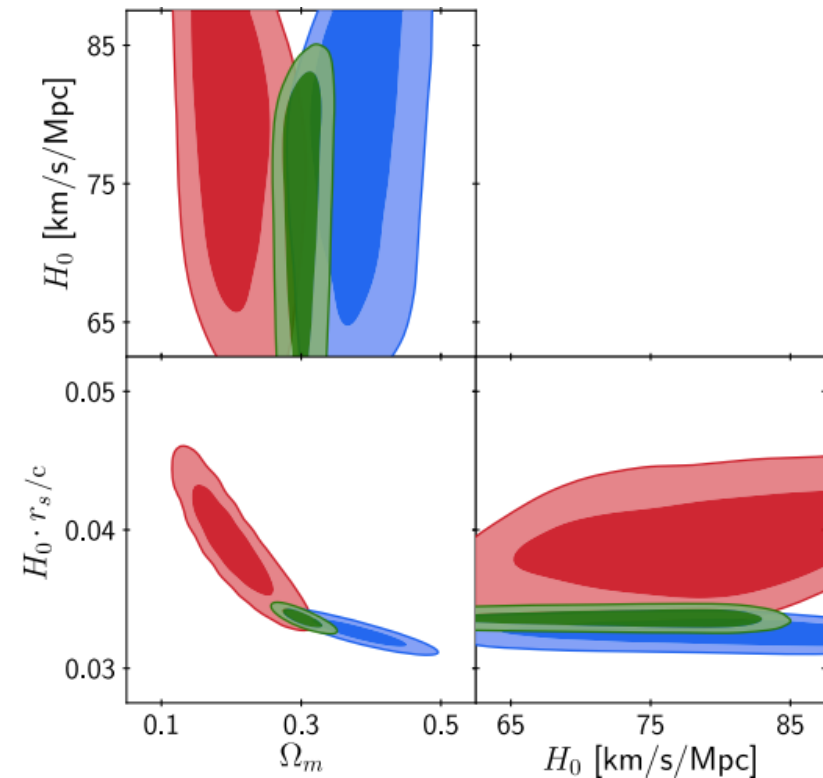
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✓  
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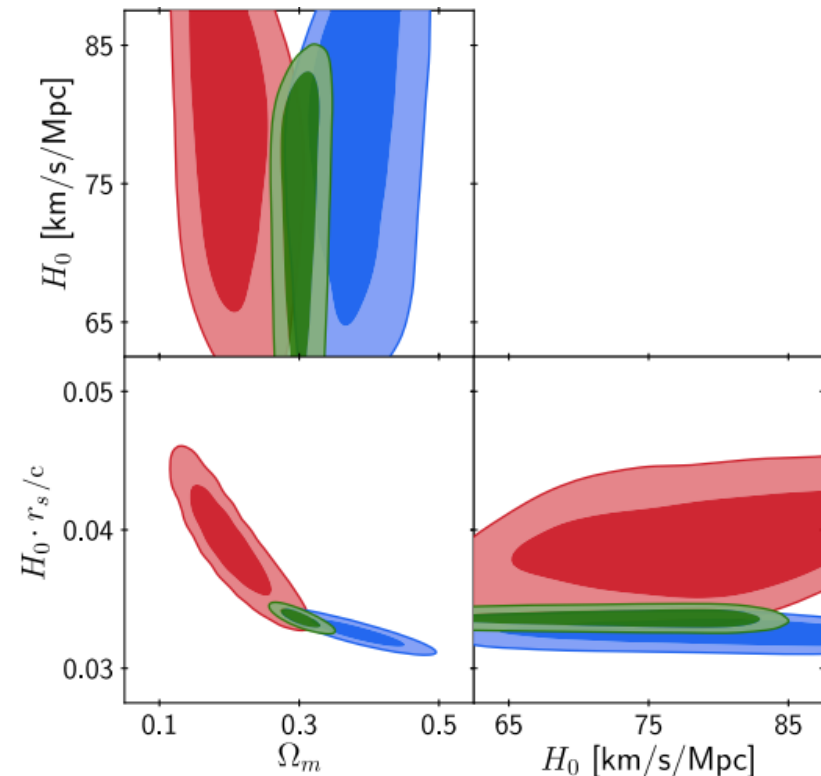
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Ω<sub>m</sub>, Ω<sub>r</sub> h<sup>2</sup>, H<sub>0</sub>



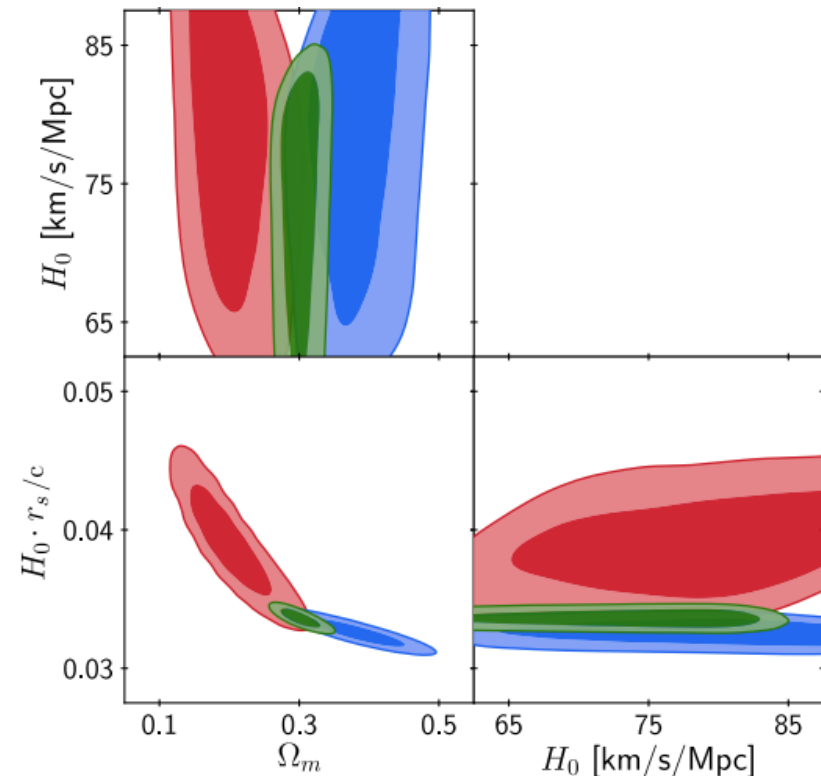
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# BAO + BBN

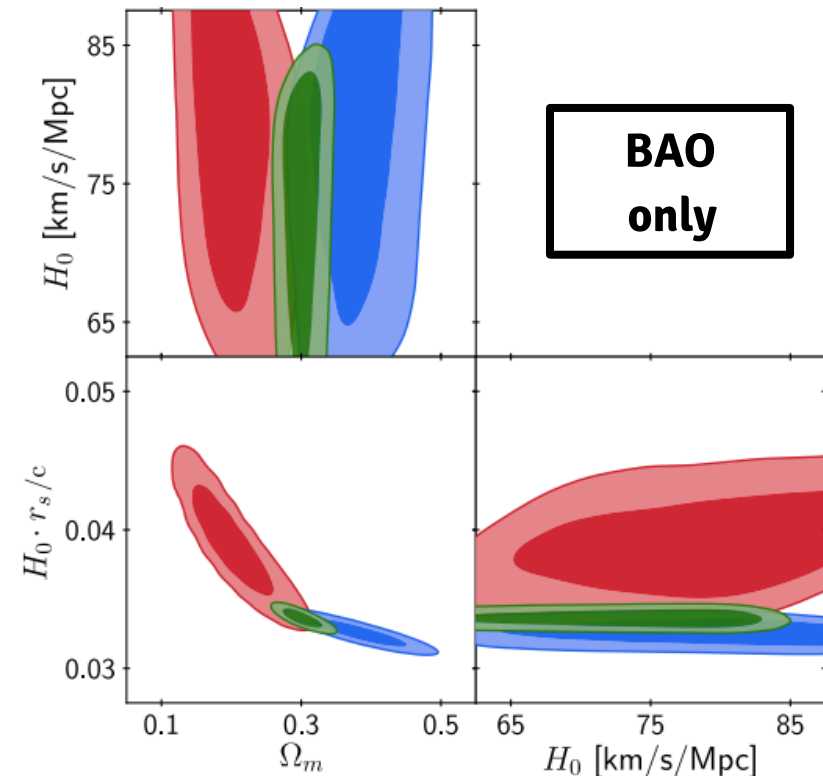
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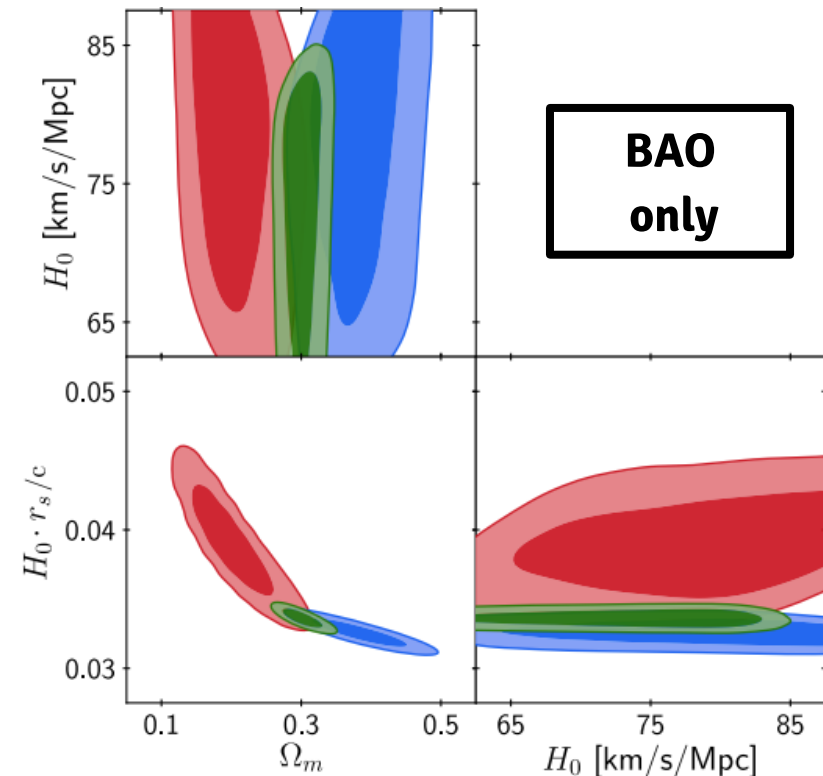
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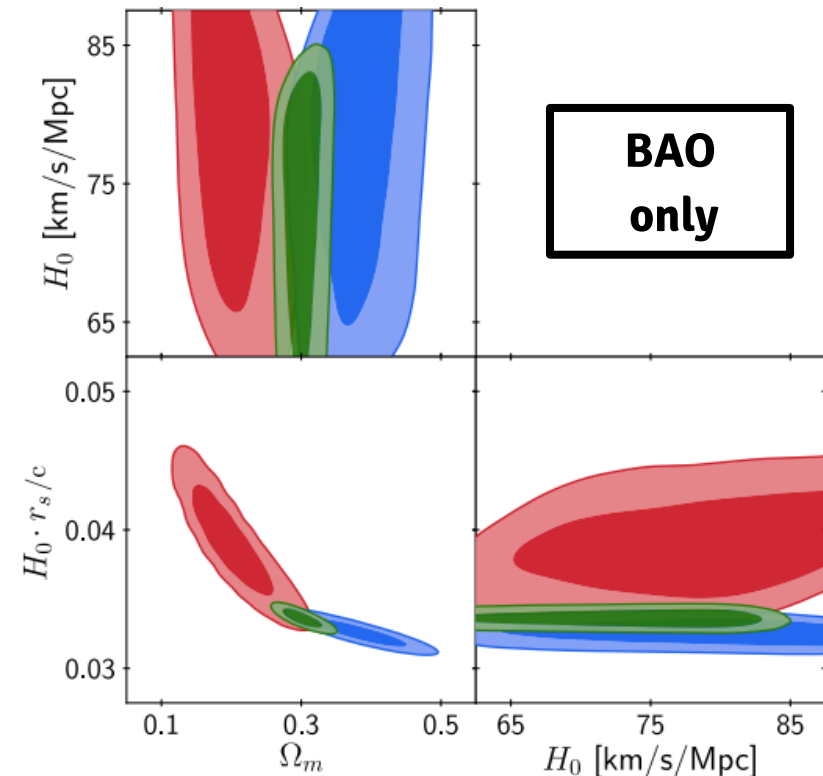
T<sub>0</sub>, Ω<sub>b</sub> h<sup>2</sup>  
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# BAO + BBN

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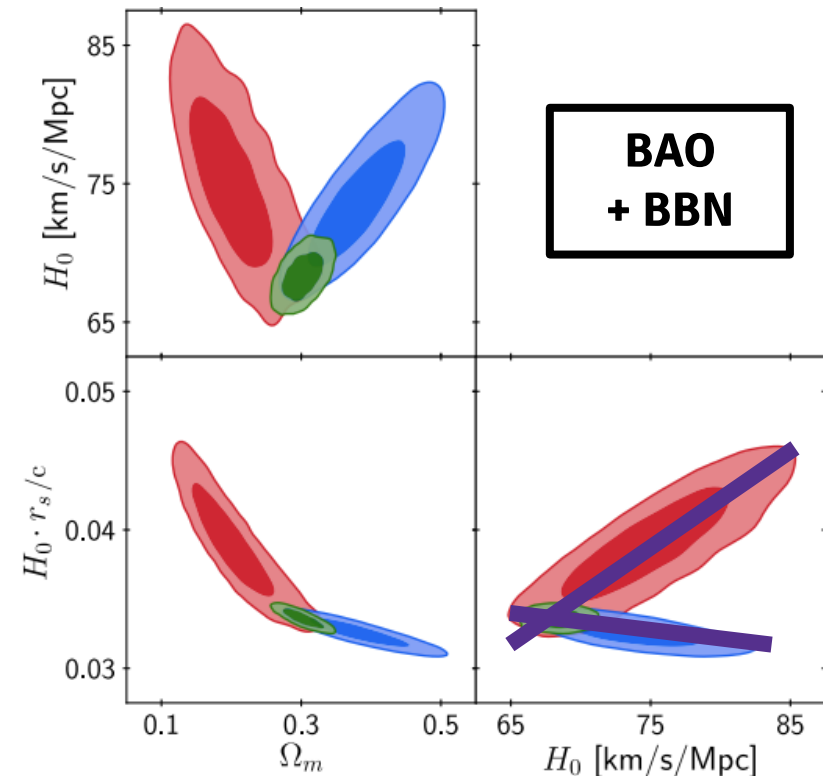
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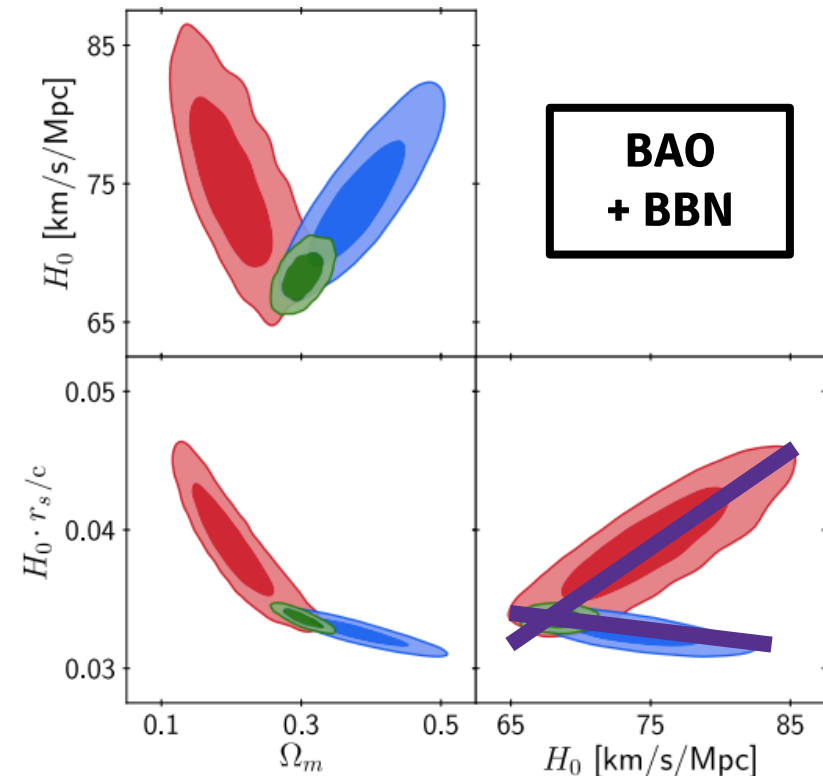
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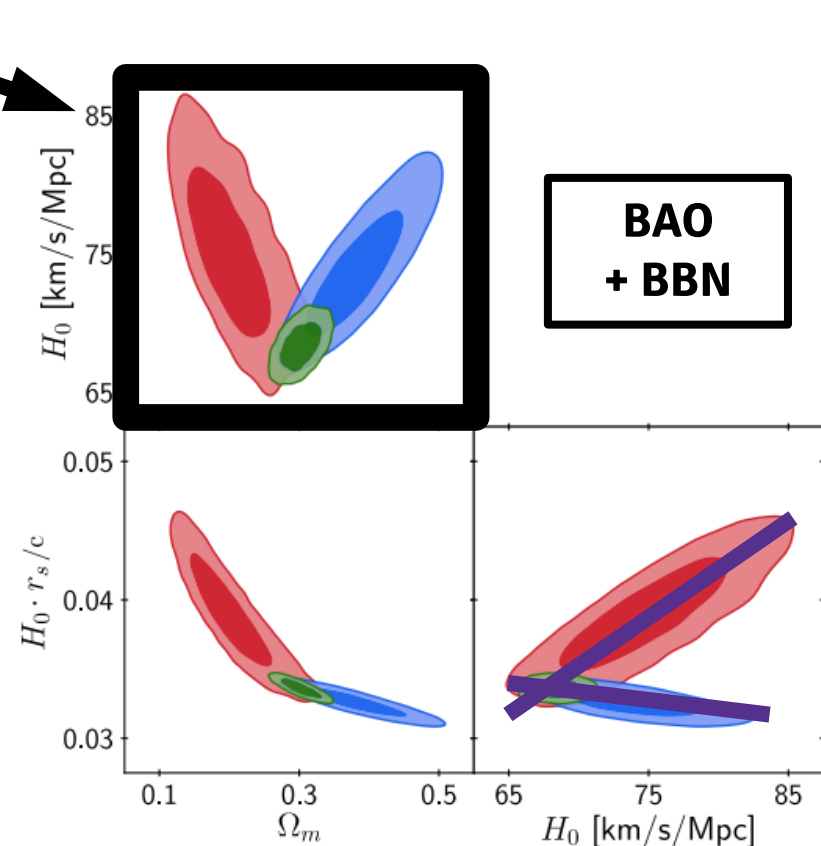
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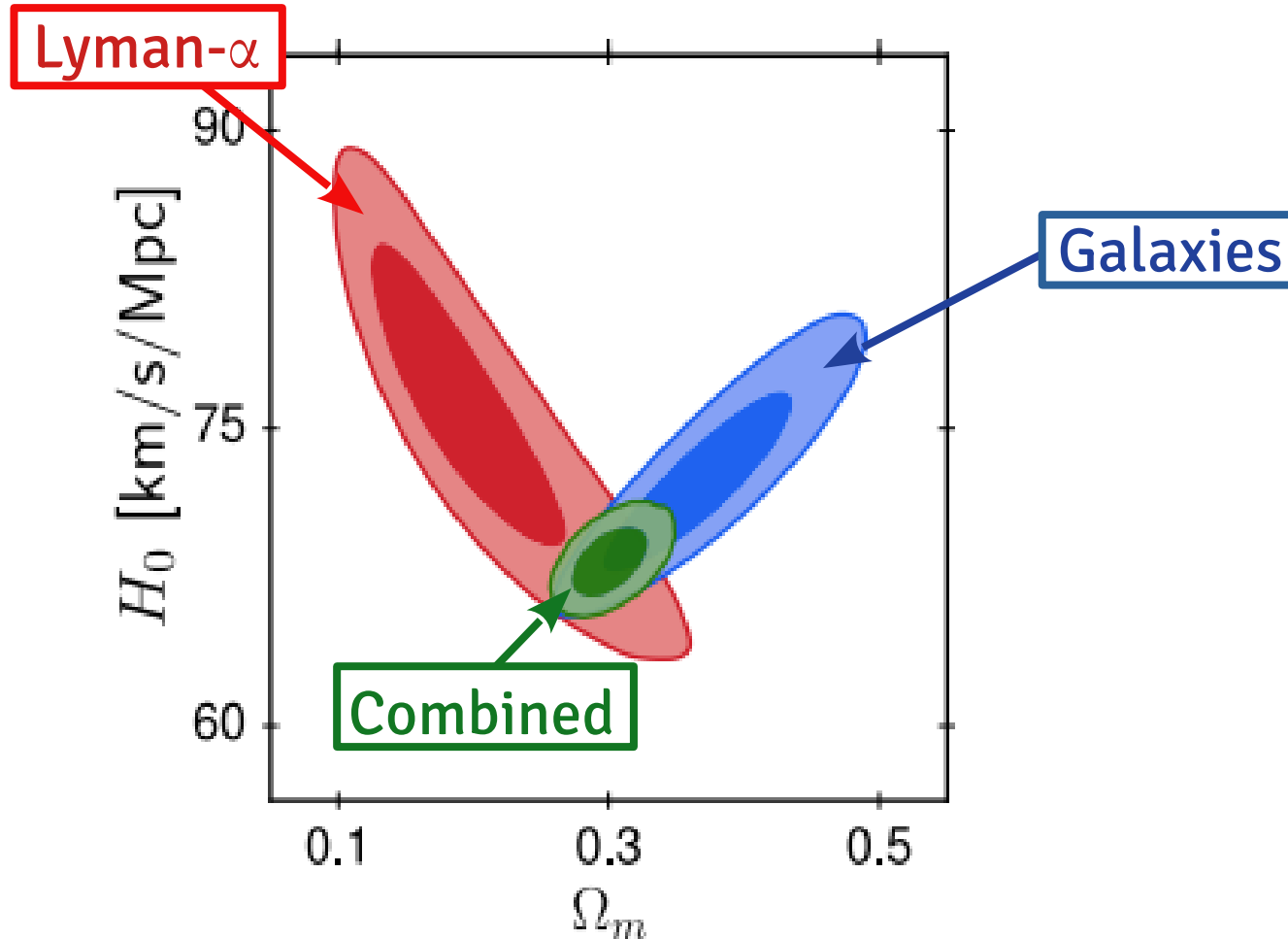
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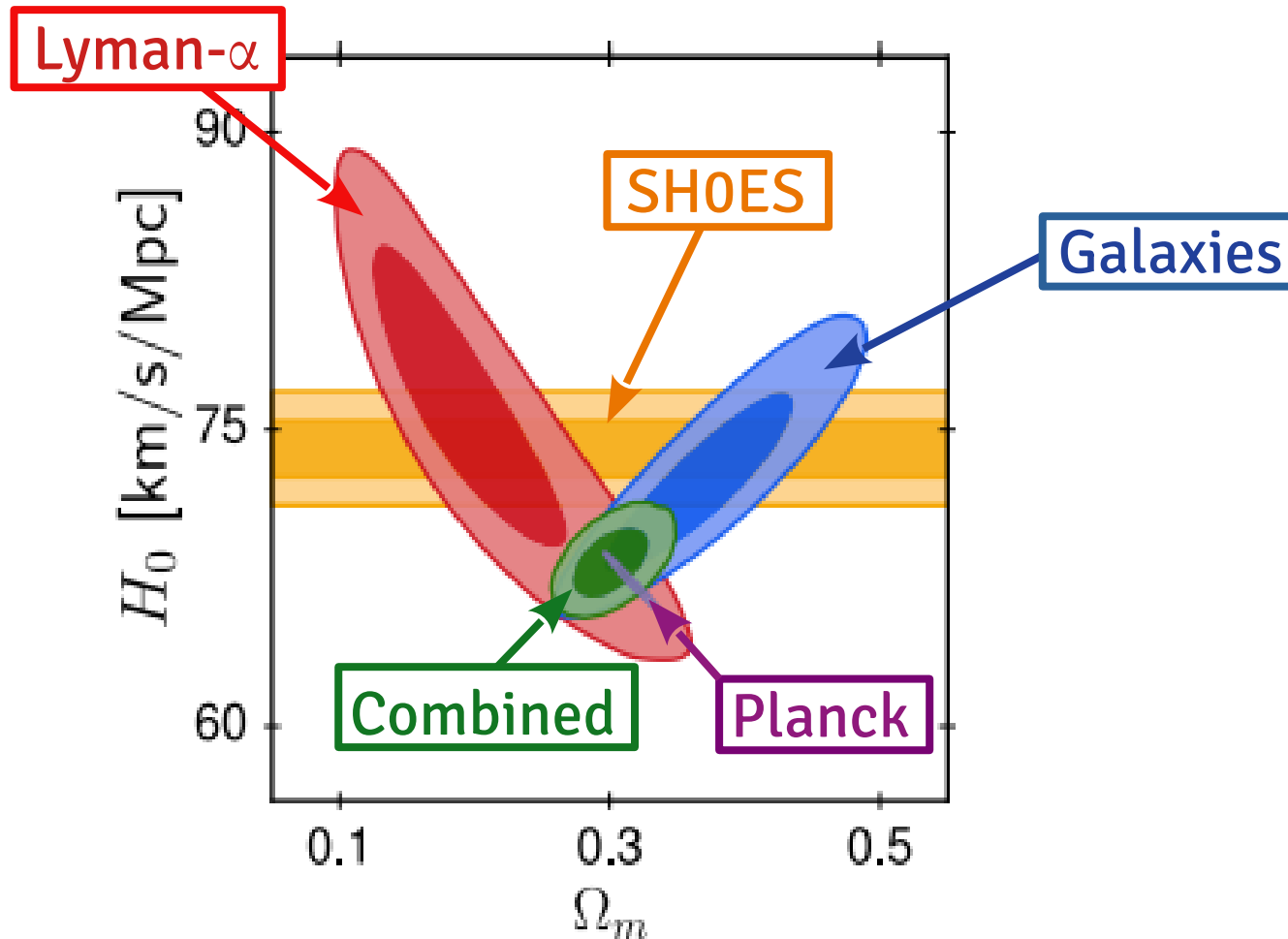
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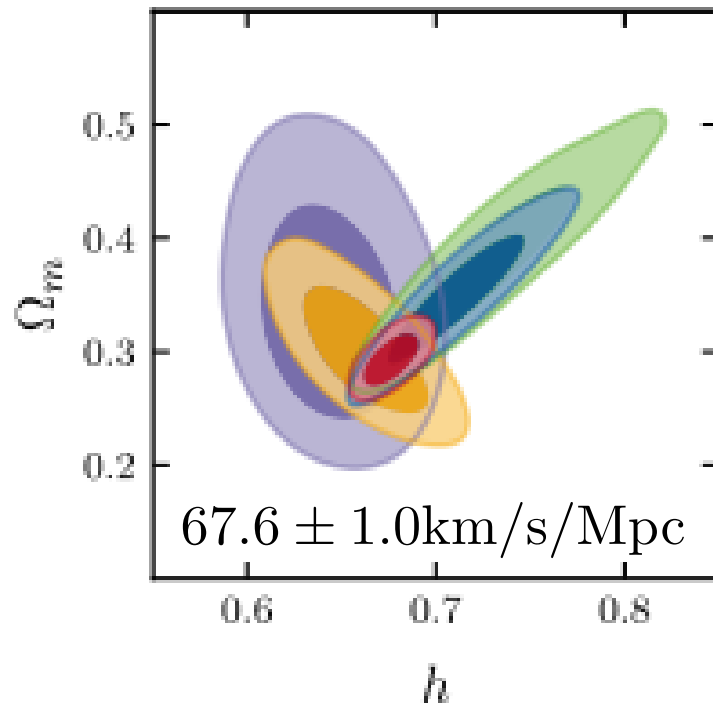
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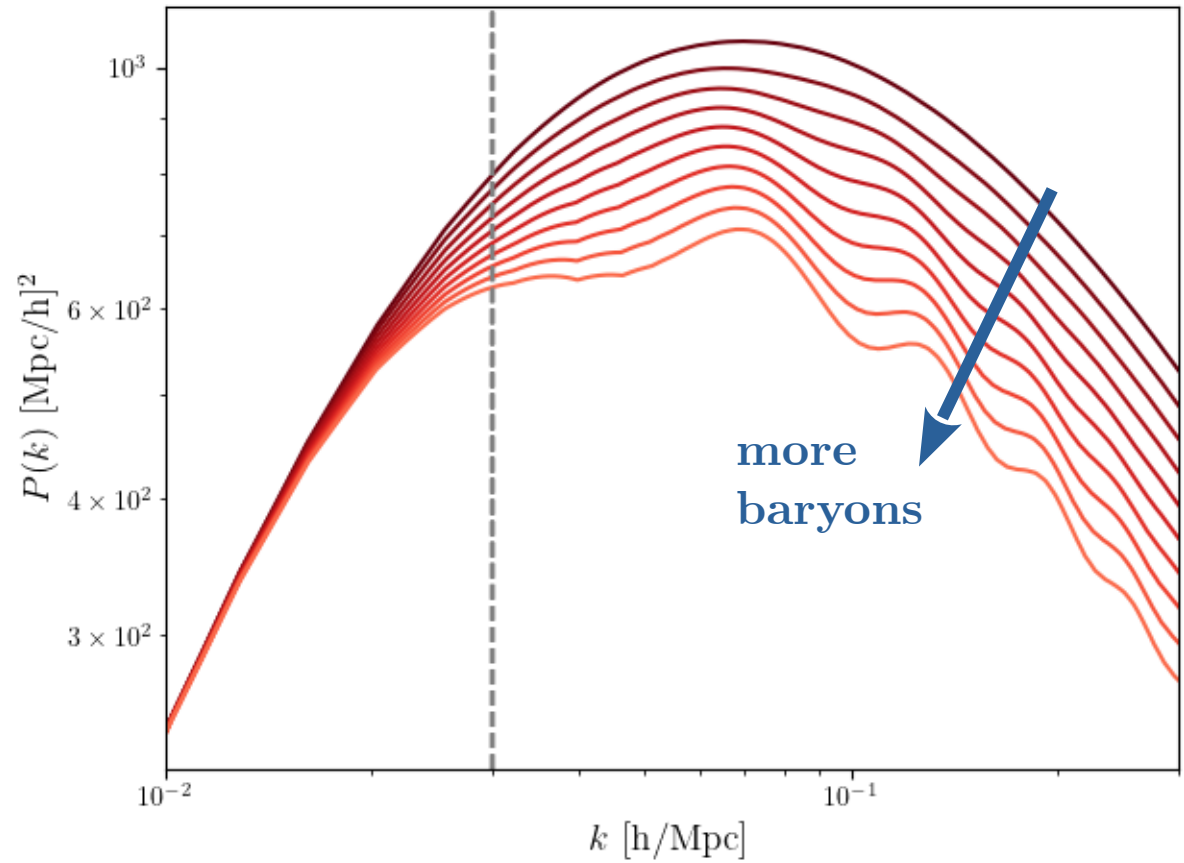
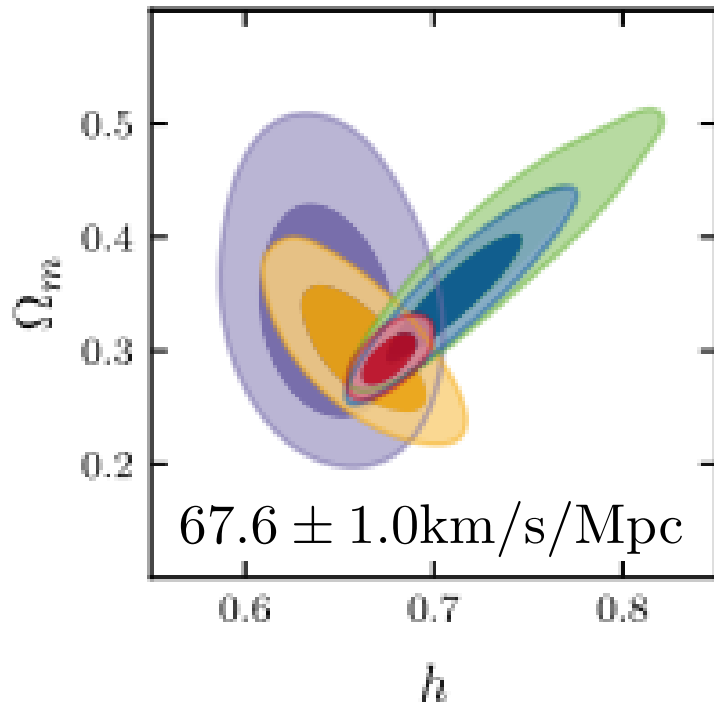


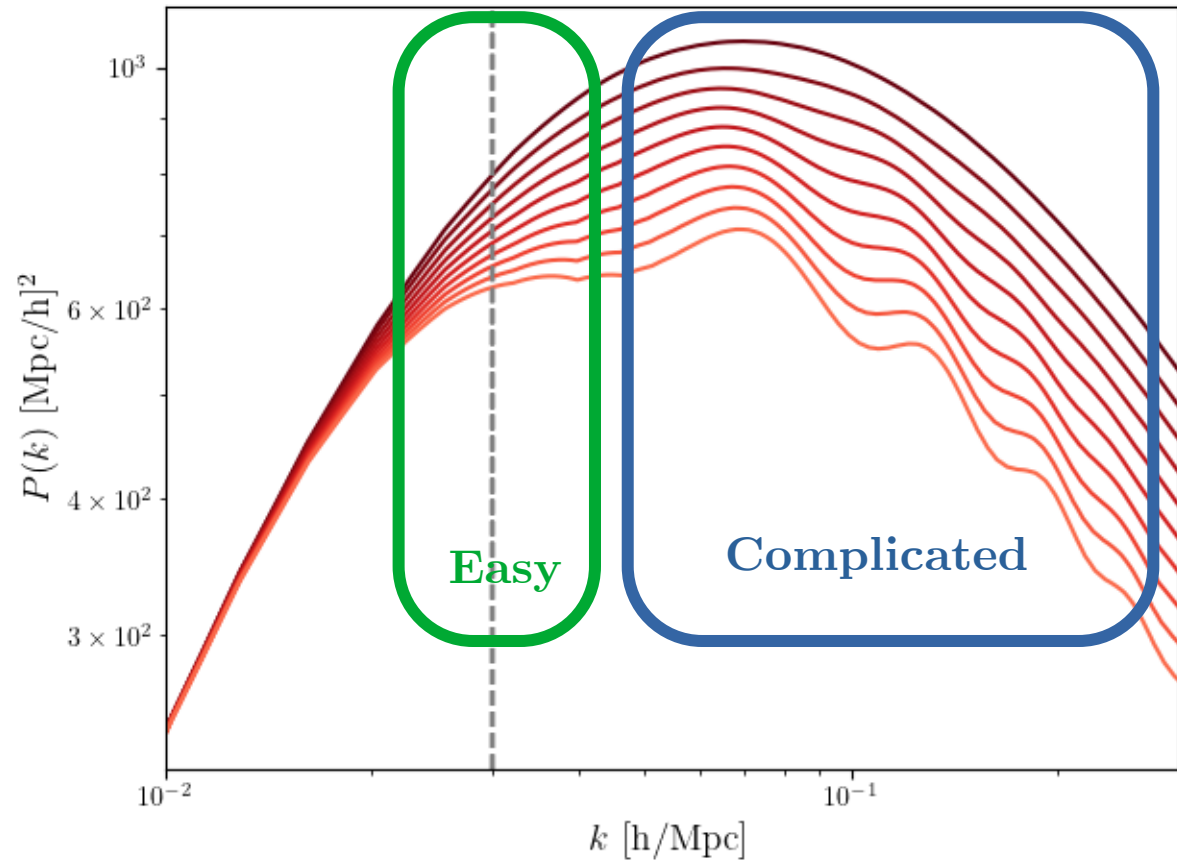
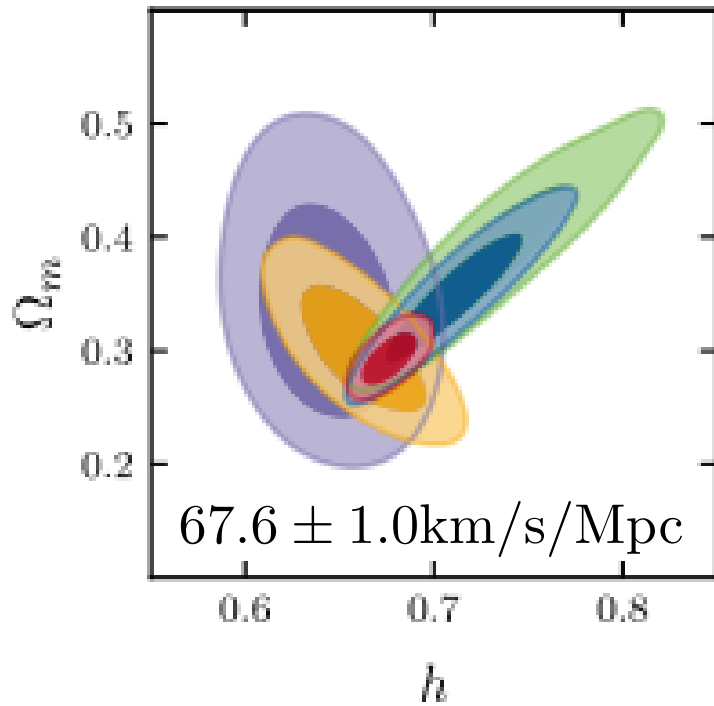
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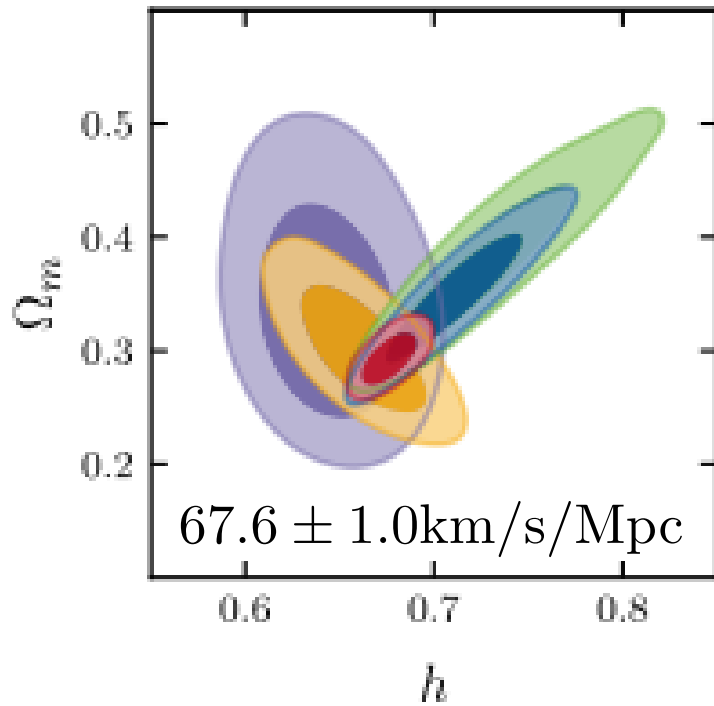




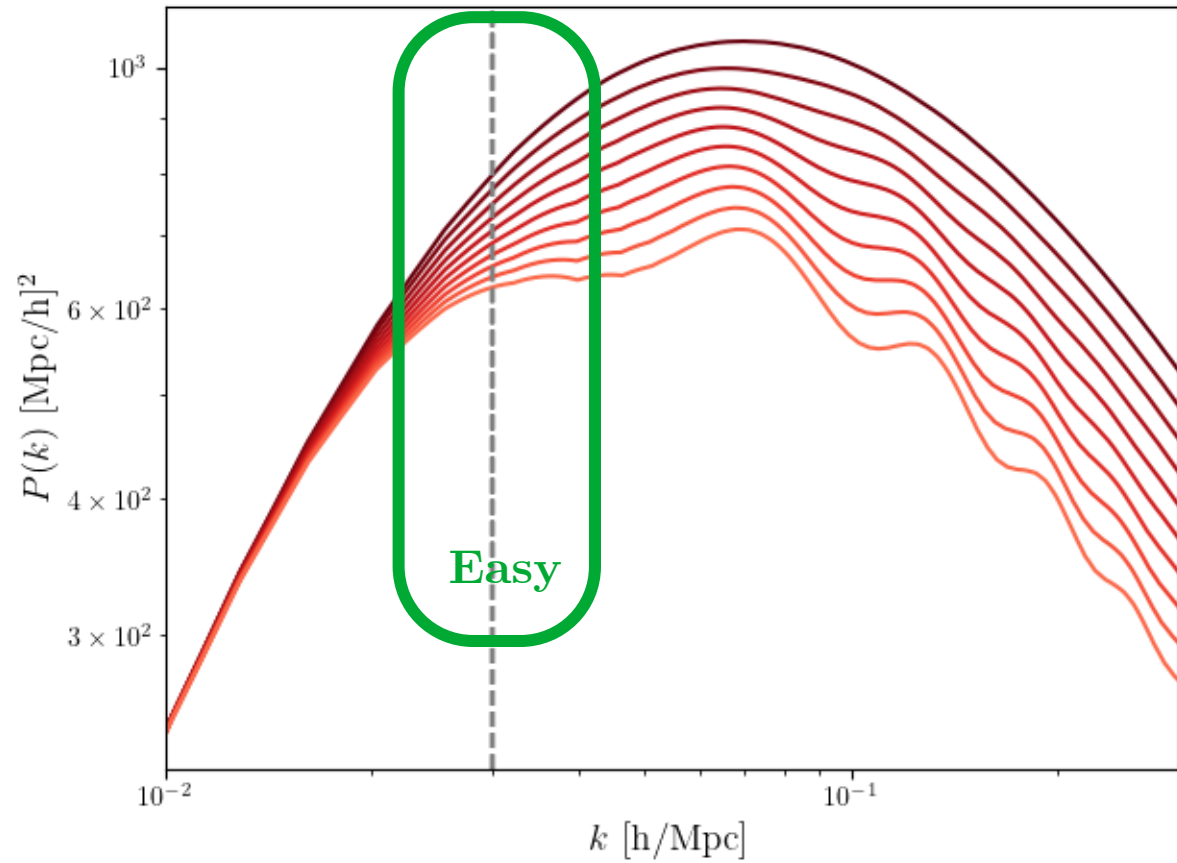


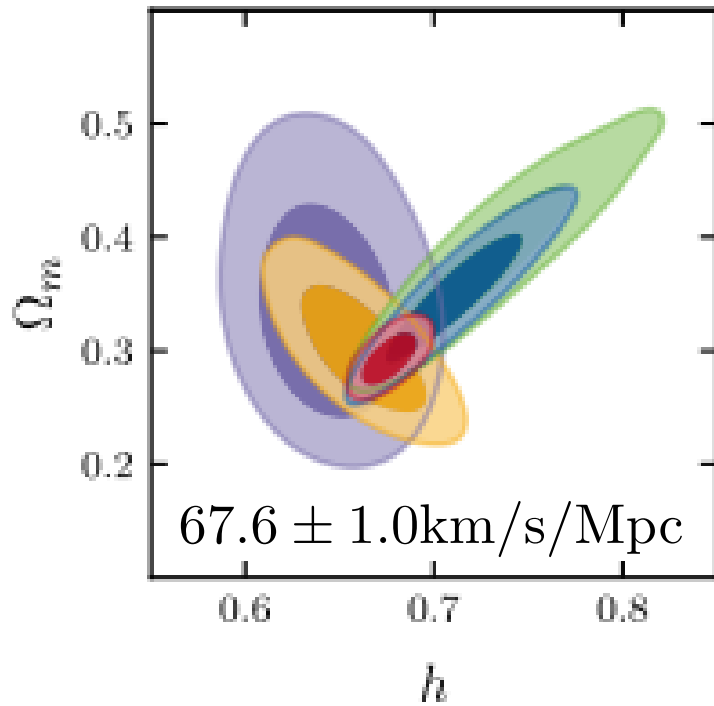




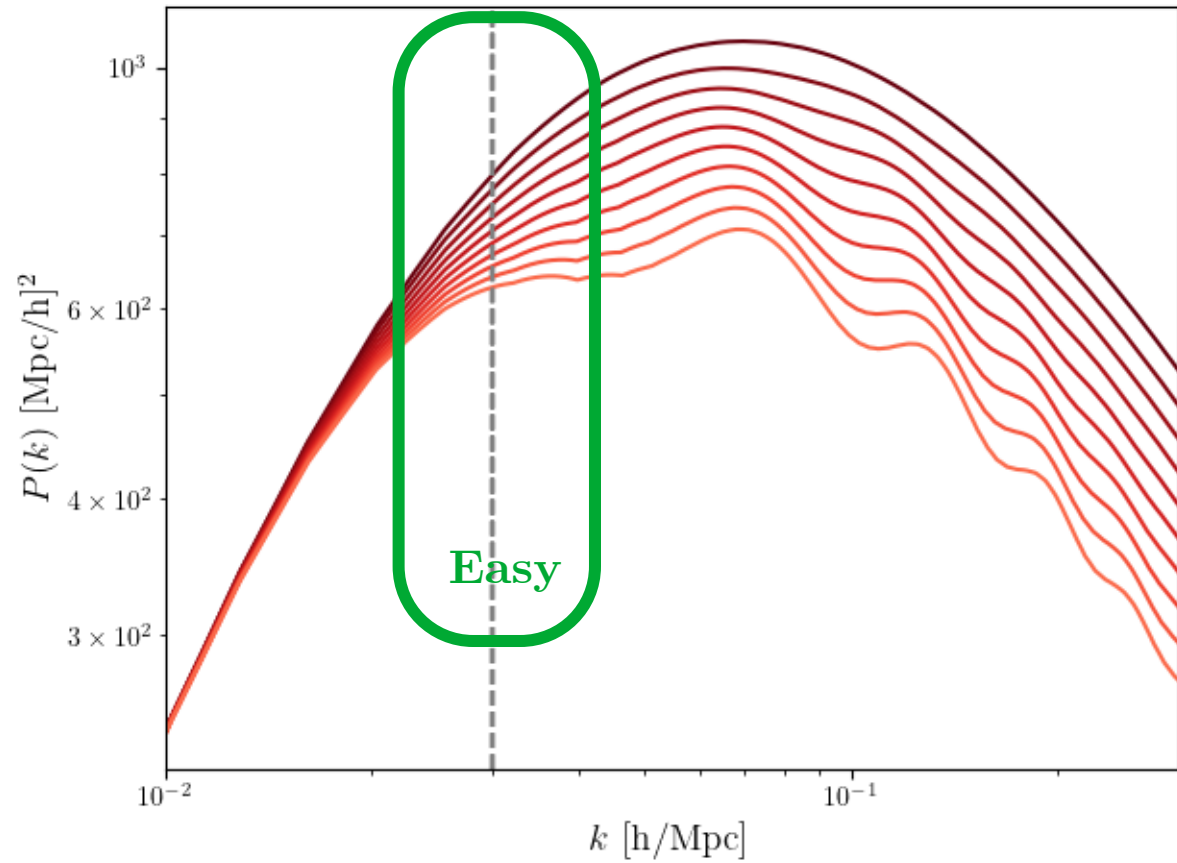


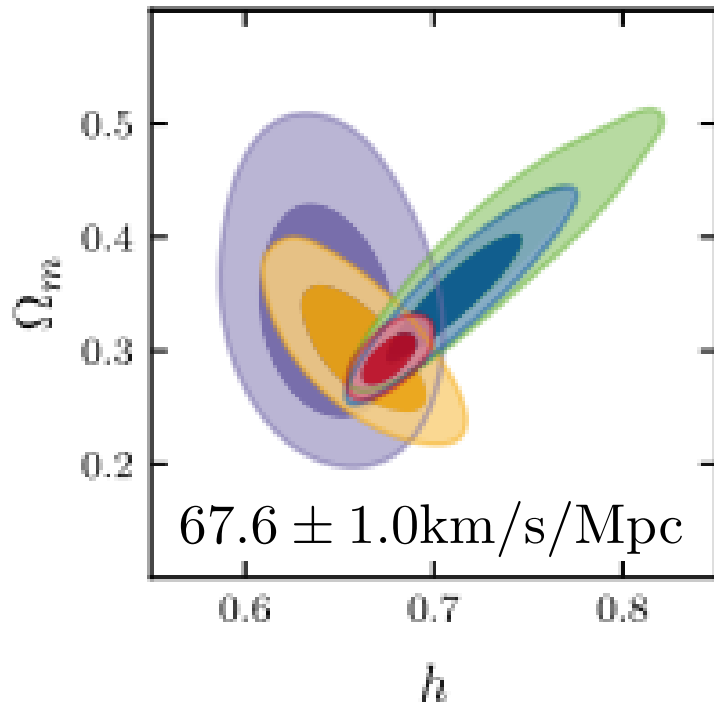
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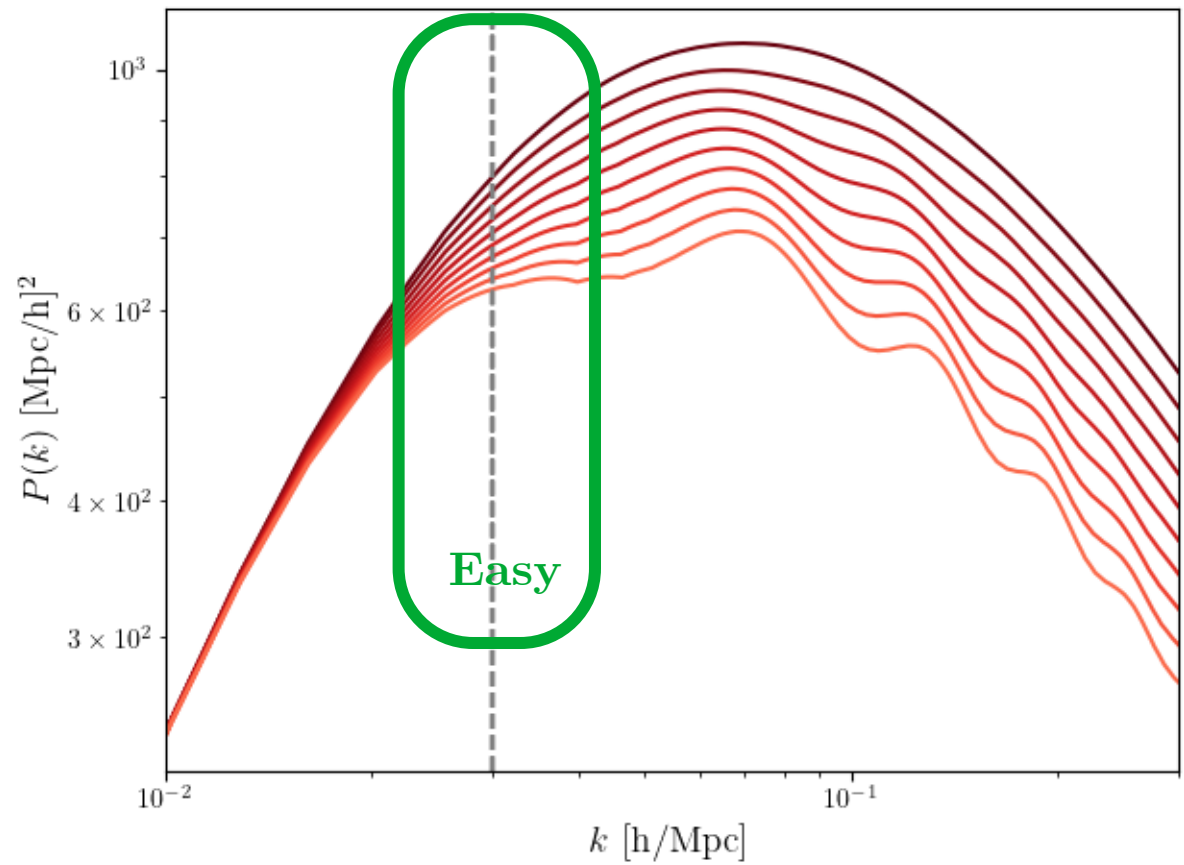


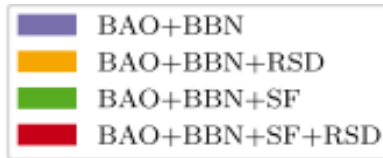
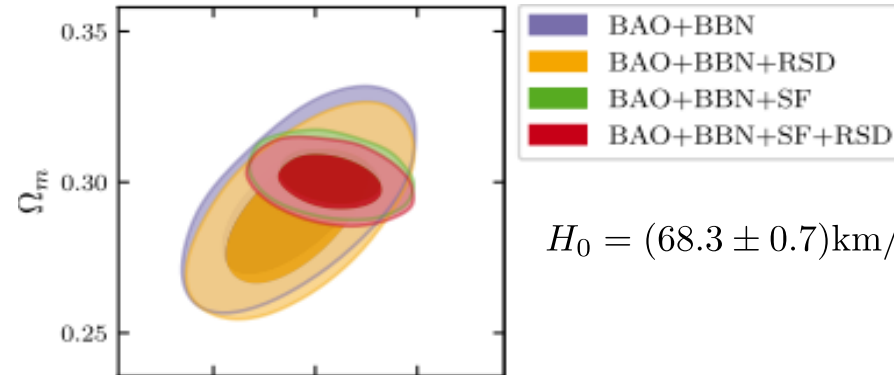
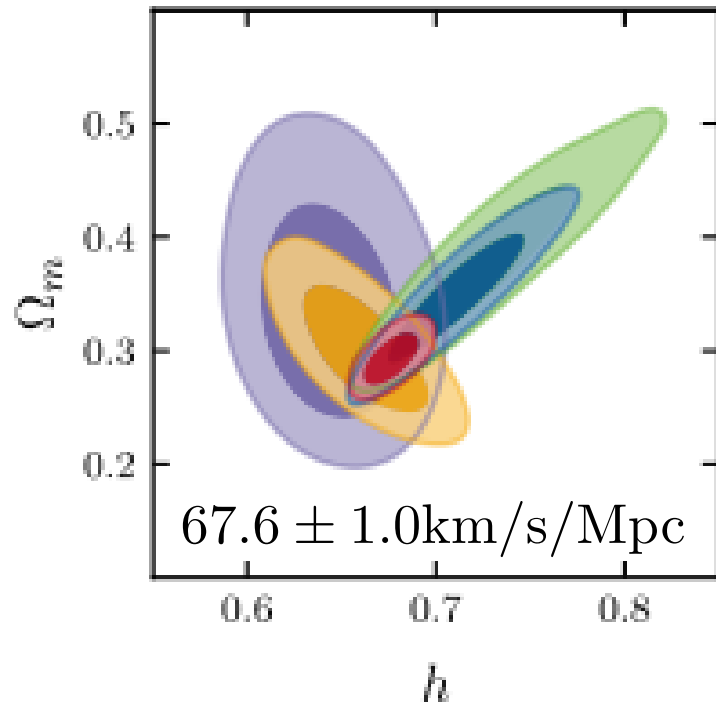
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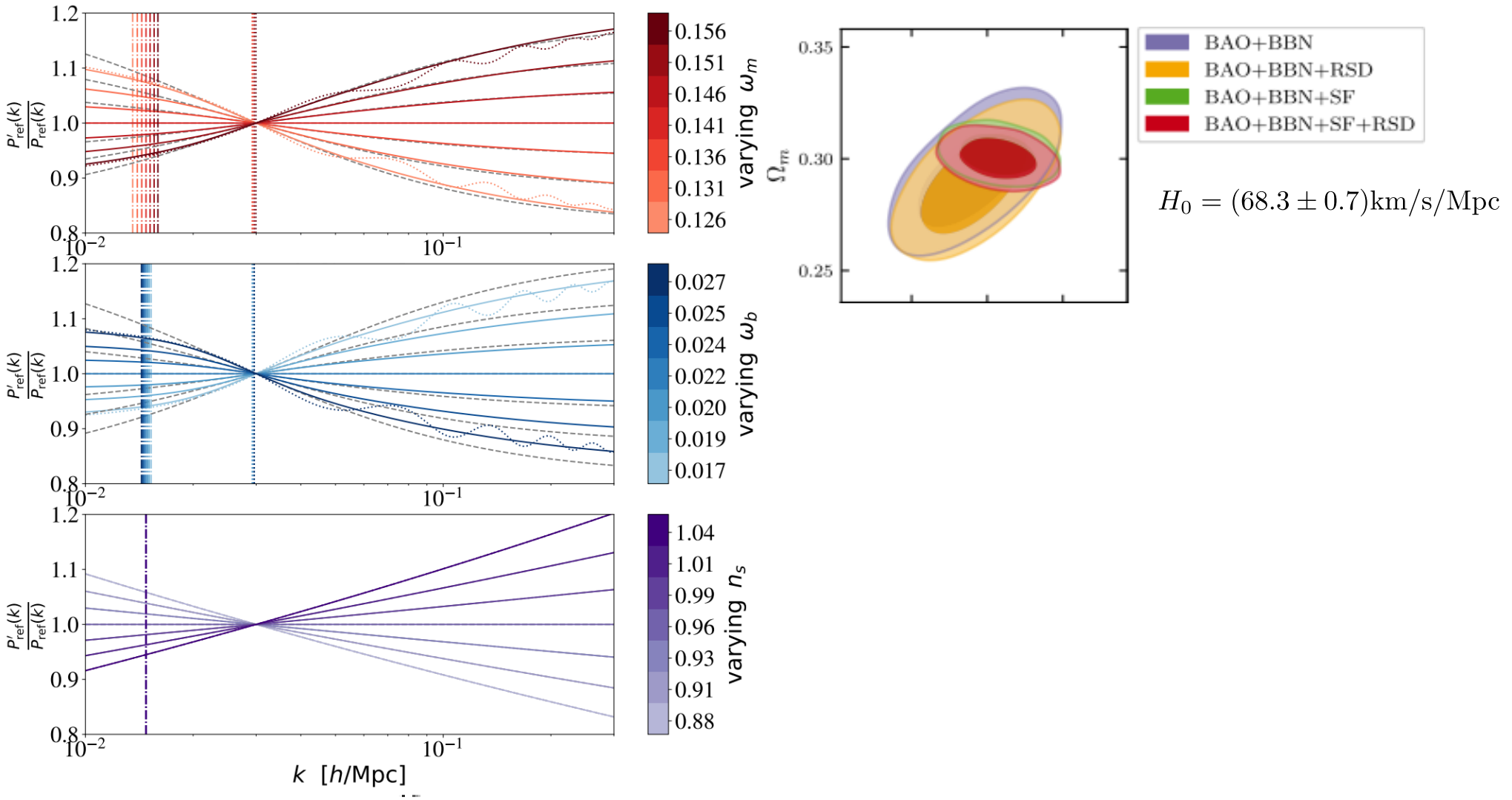




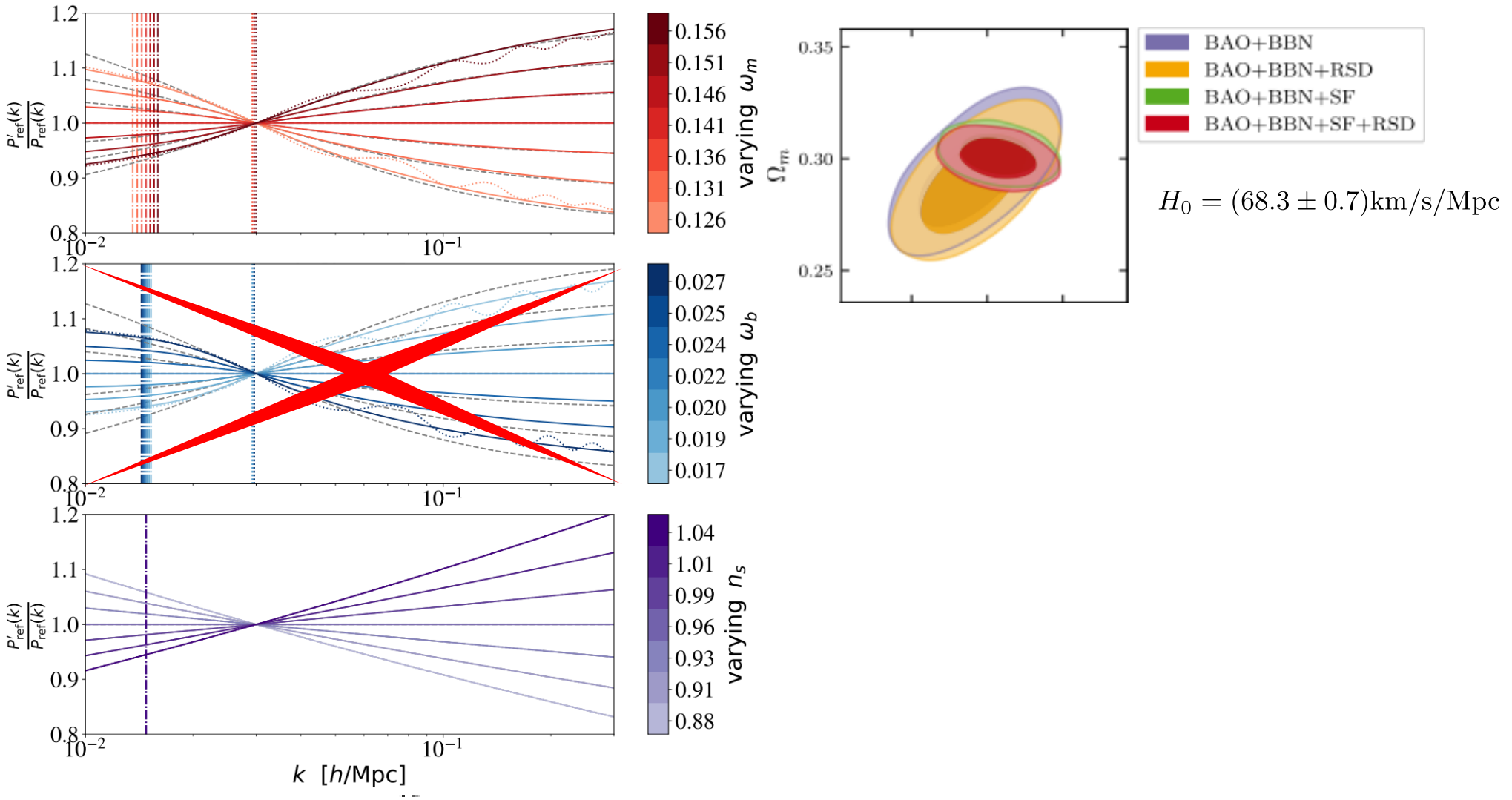
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**BBN**

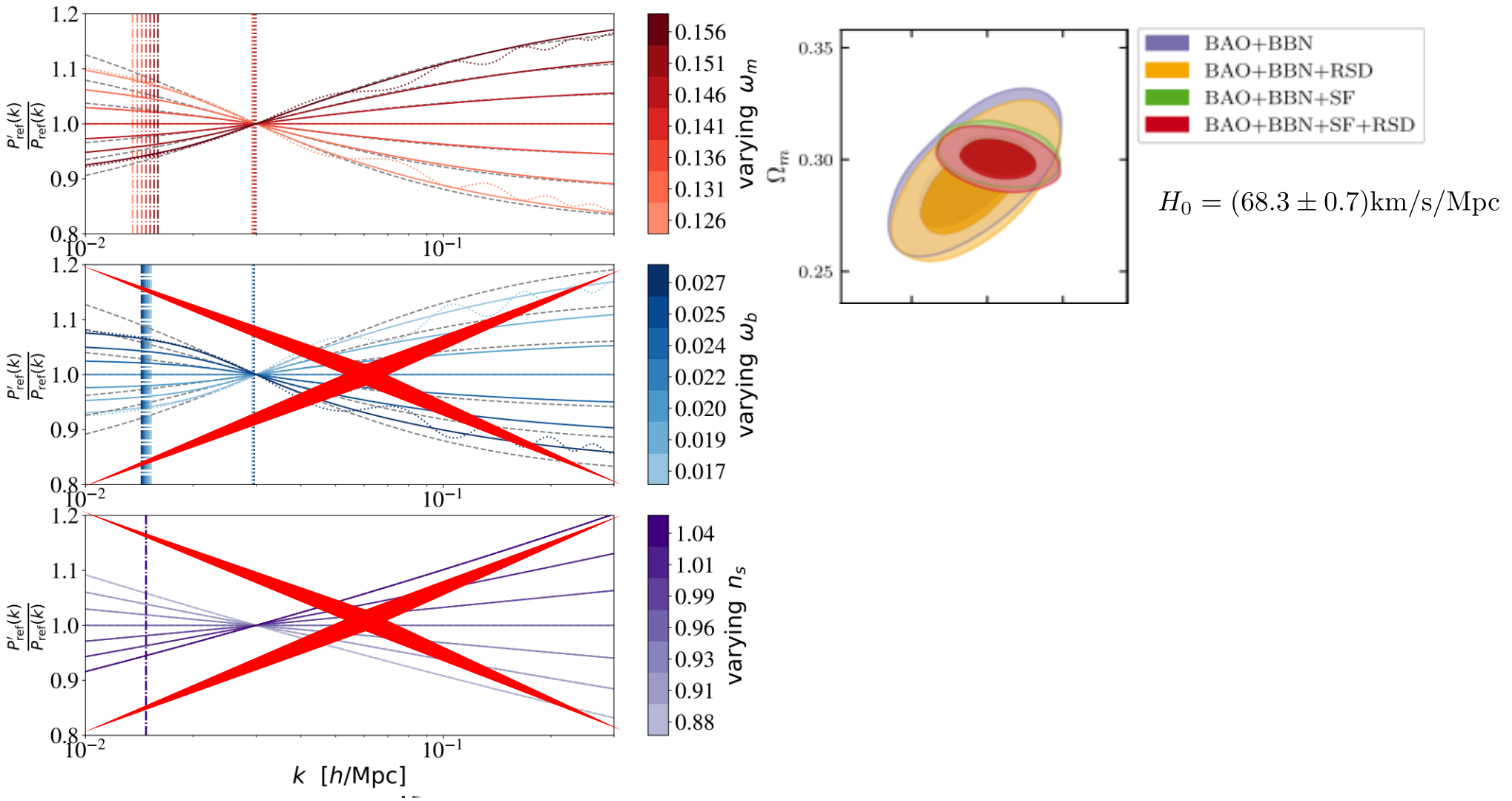


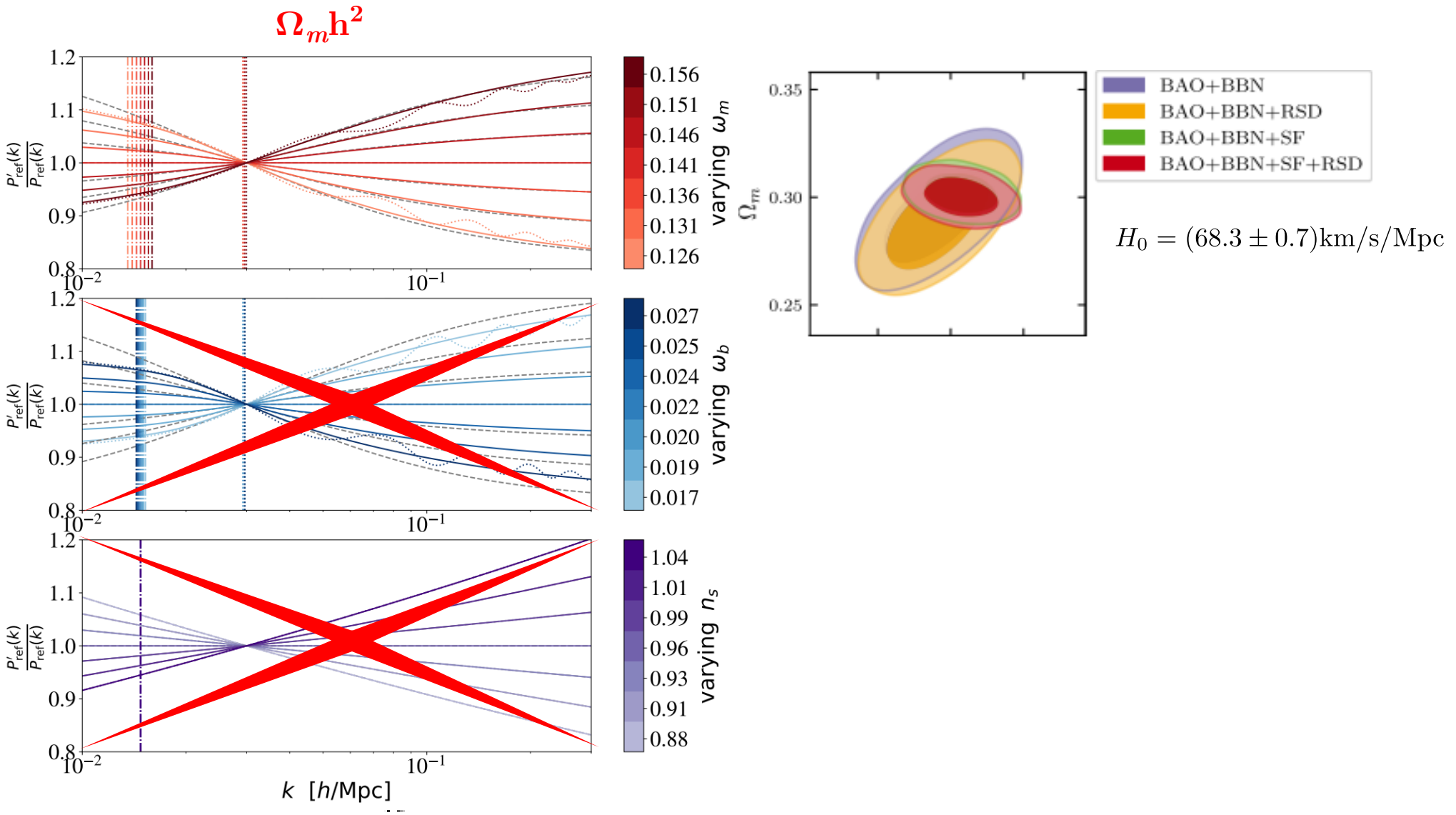


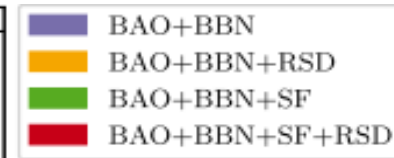
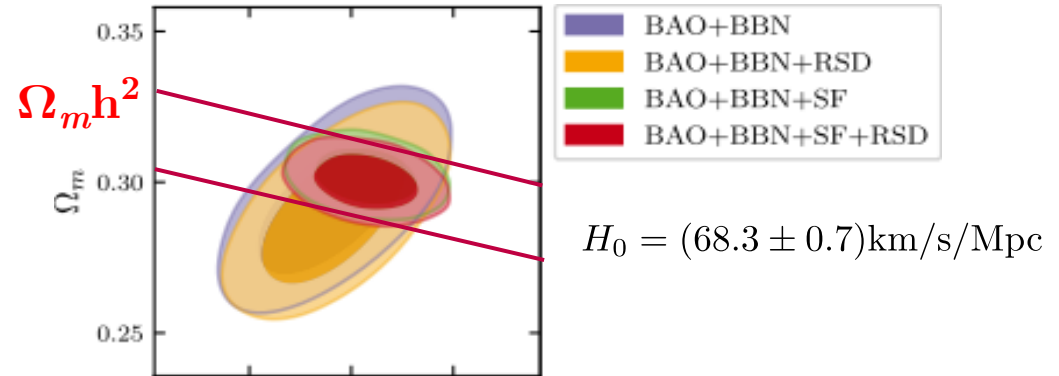
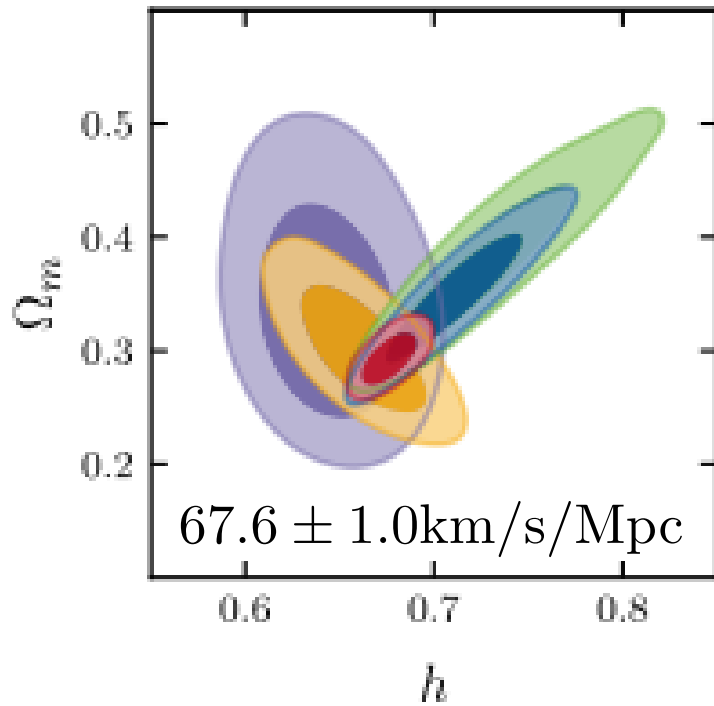


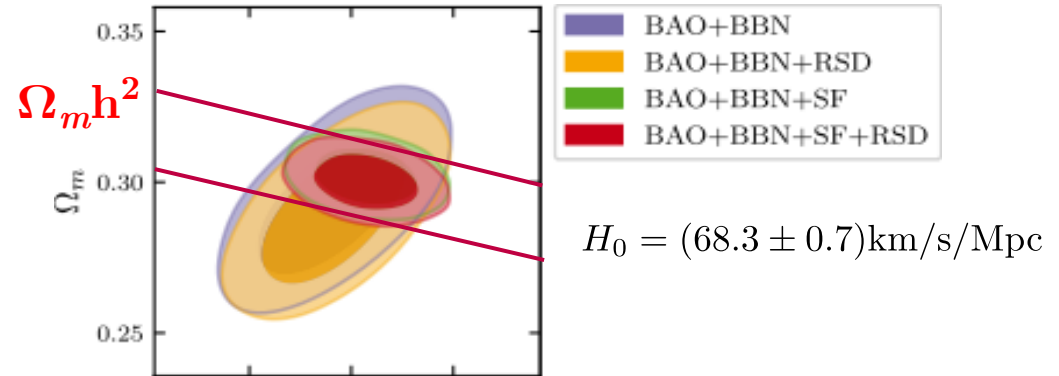
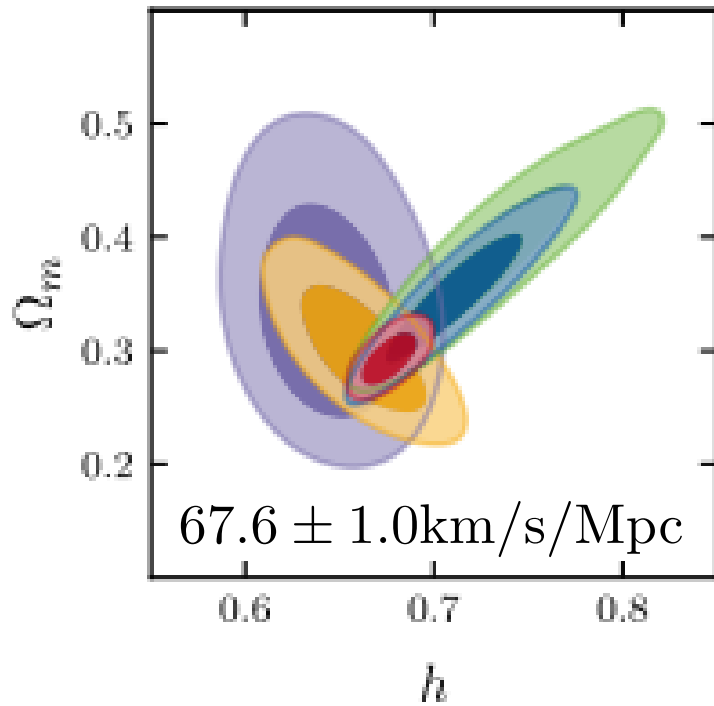






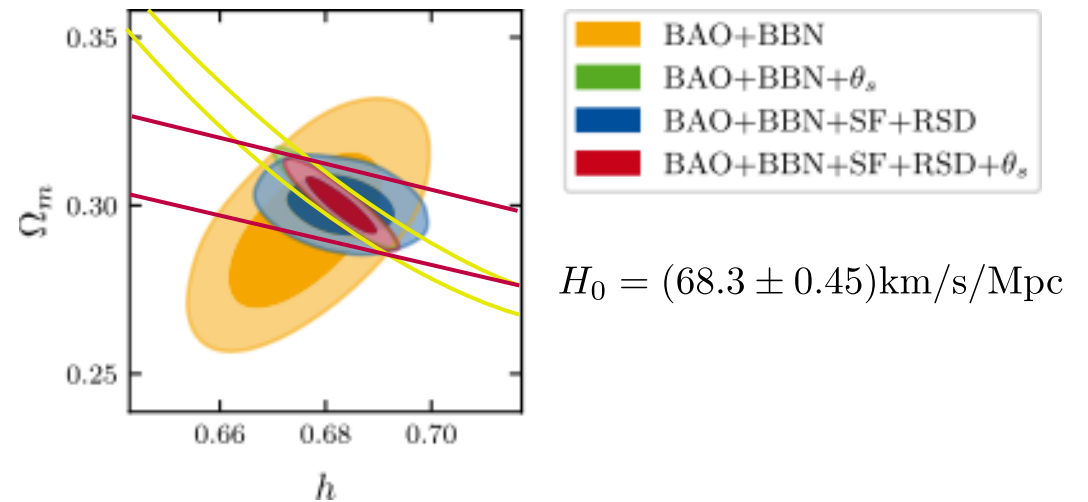
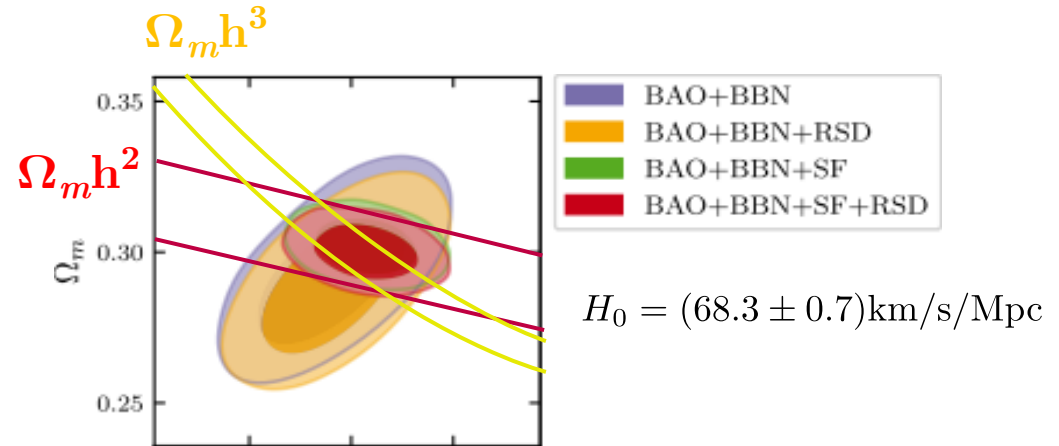
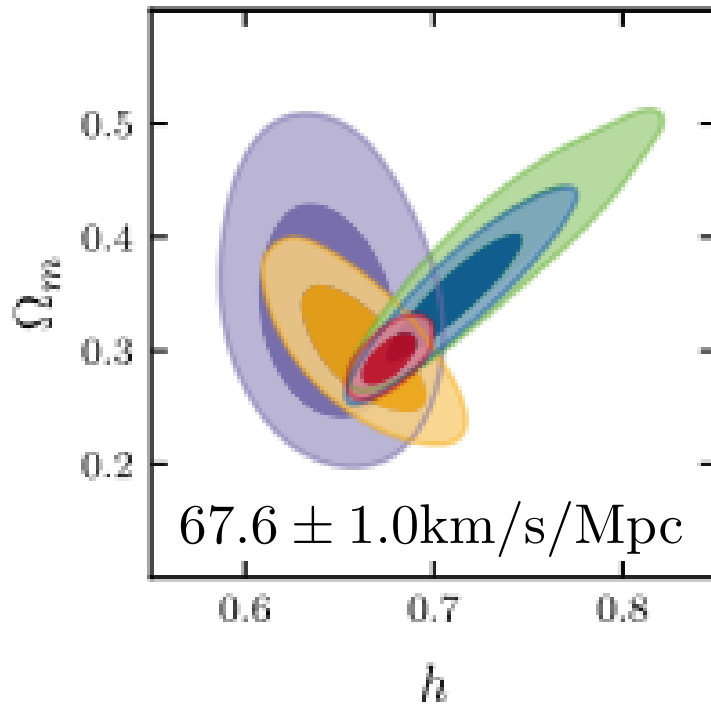






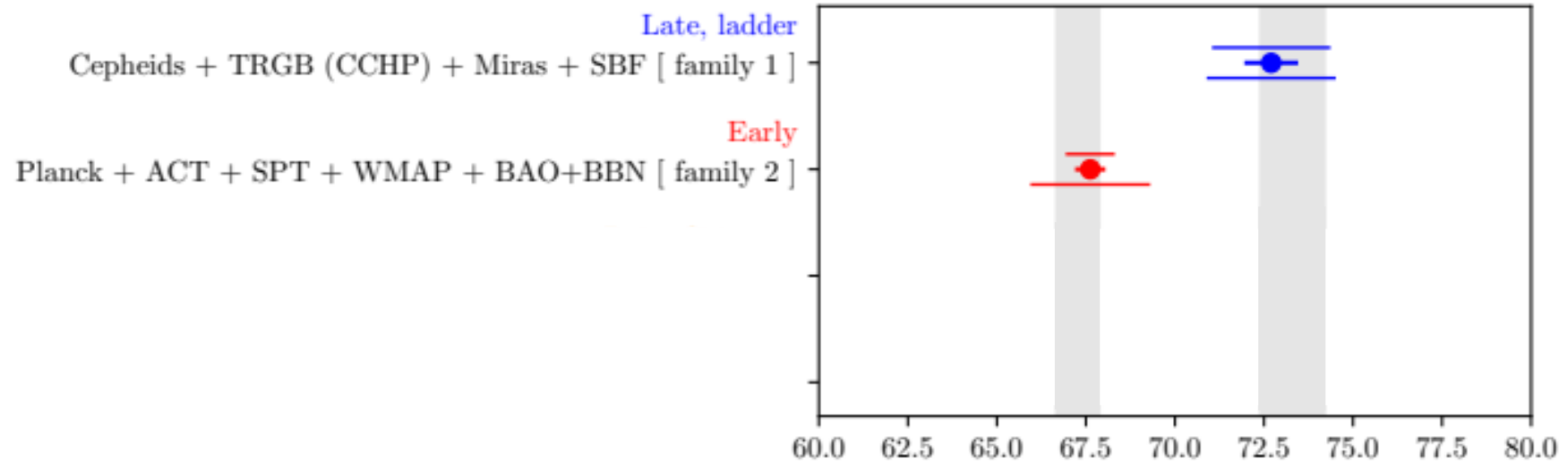
Constraints equivalent to full LSS modeling,  
but more robust

→ Possible extensions in the future



**Constraints equivalent to full CMB modeling,  
but more robust**

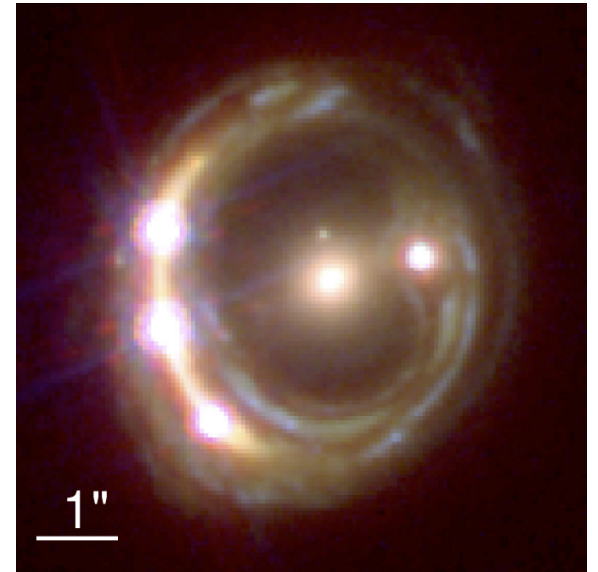
Verde, Schöneberg, Gil-Marín (upcoming review in ARAA)



# THE THIRD FAMILY

Standard candles which aren't candles



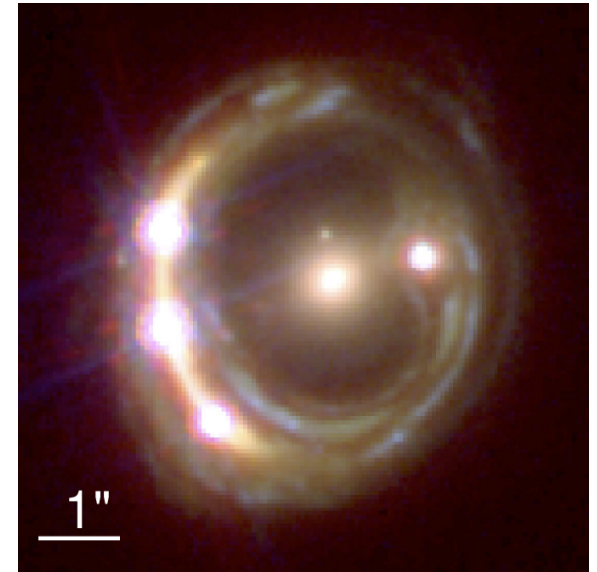
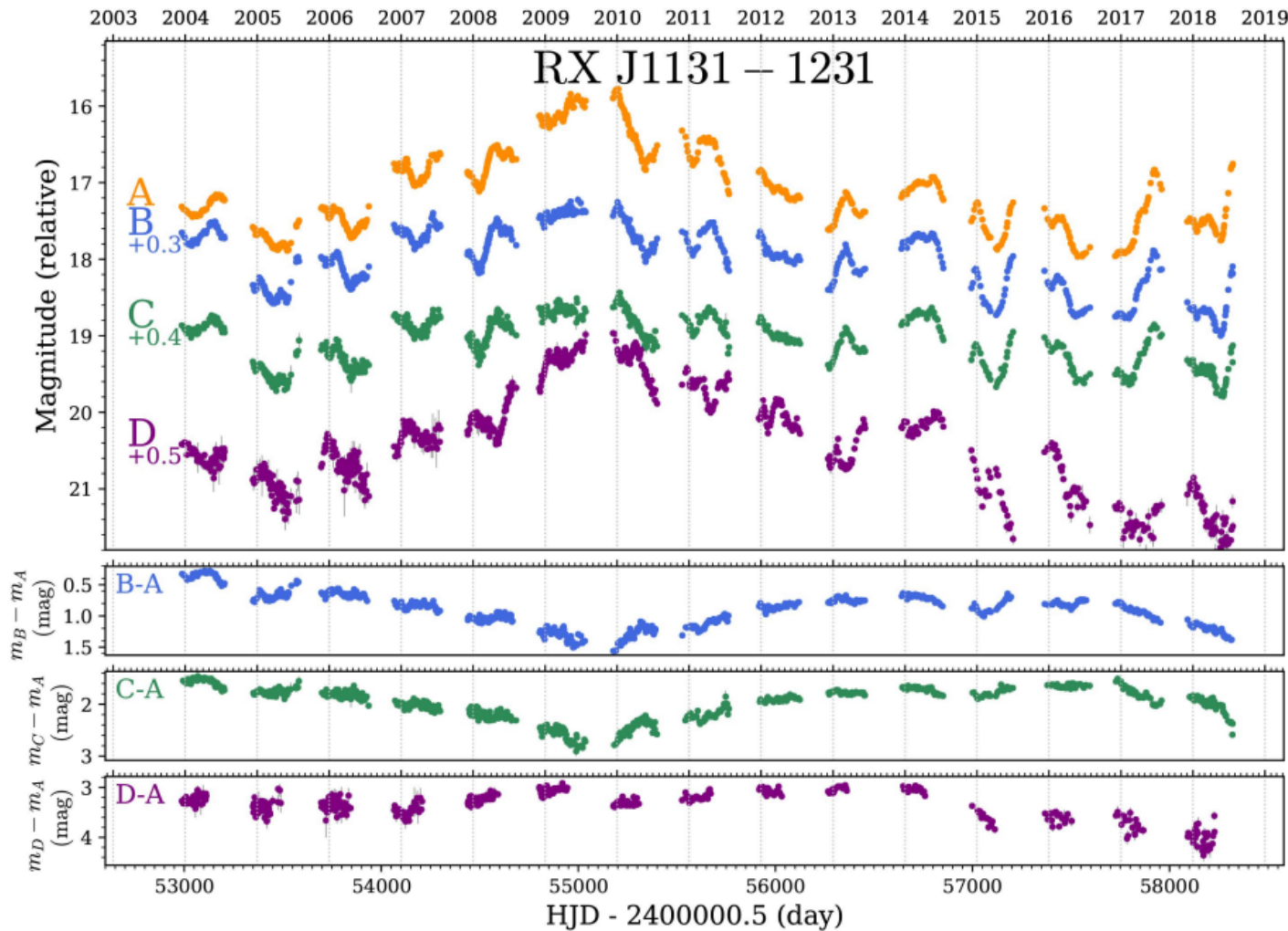


RXJ1131

# STRONG LENSING

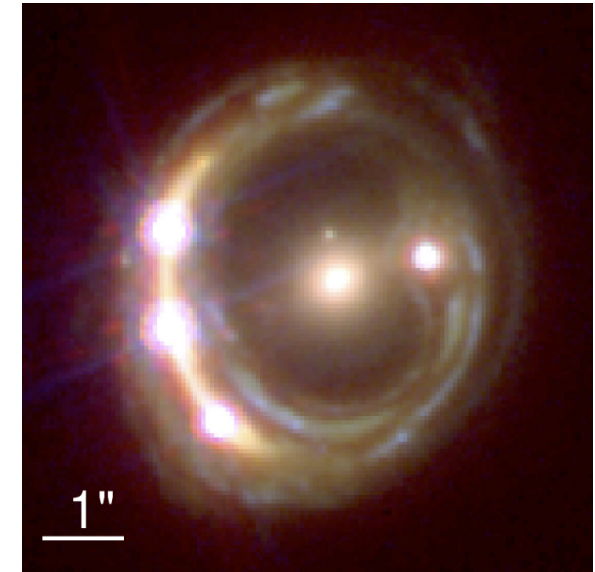
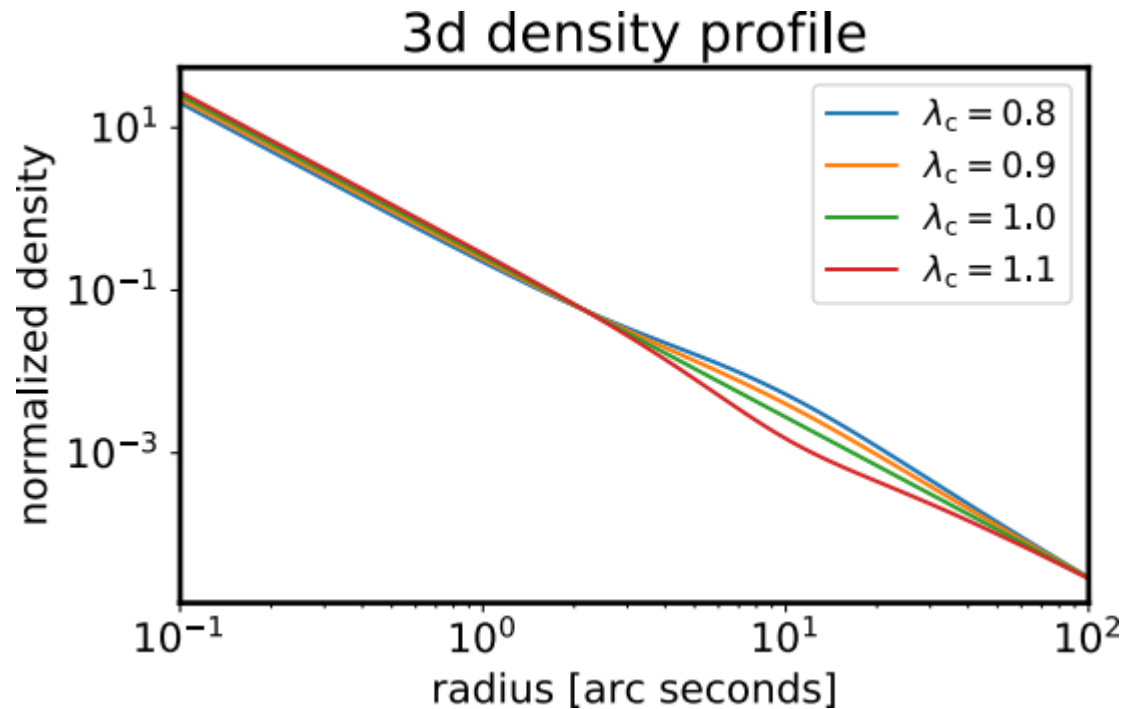
- Strong lensing gives the distance to the lens
- Redshift of lens and source typically known from spectral features
- Together this gives  $H_0$

$$\Delta t = \frac{D_{\Delta t}}{c} \cdot \Delta\phi_{\text{Fermat}} \quad D_{\Delta t} \propto \frac{D_L D_S}{D_{LS}} \propto \frac{1}{H_0}$$



RXJ1131

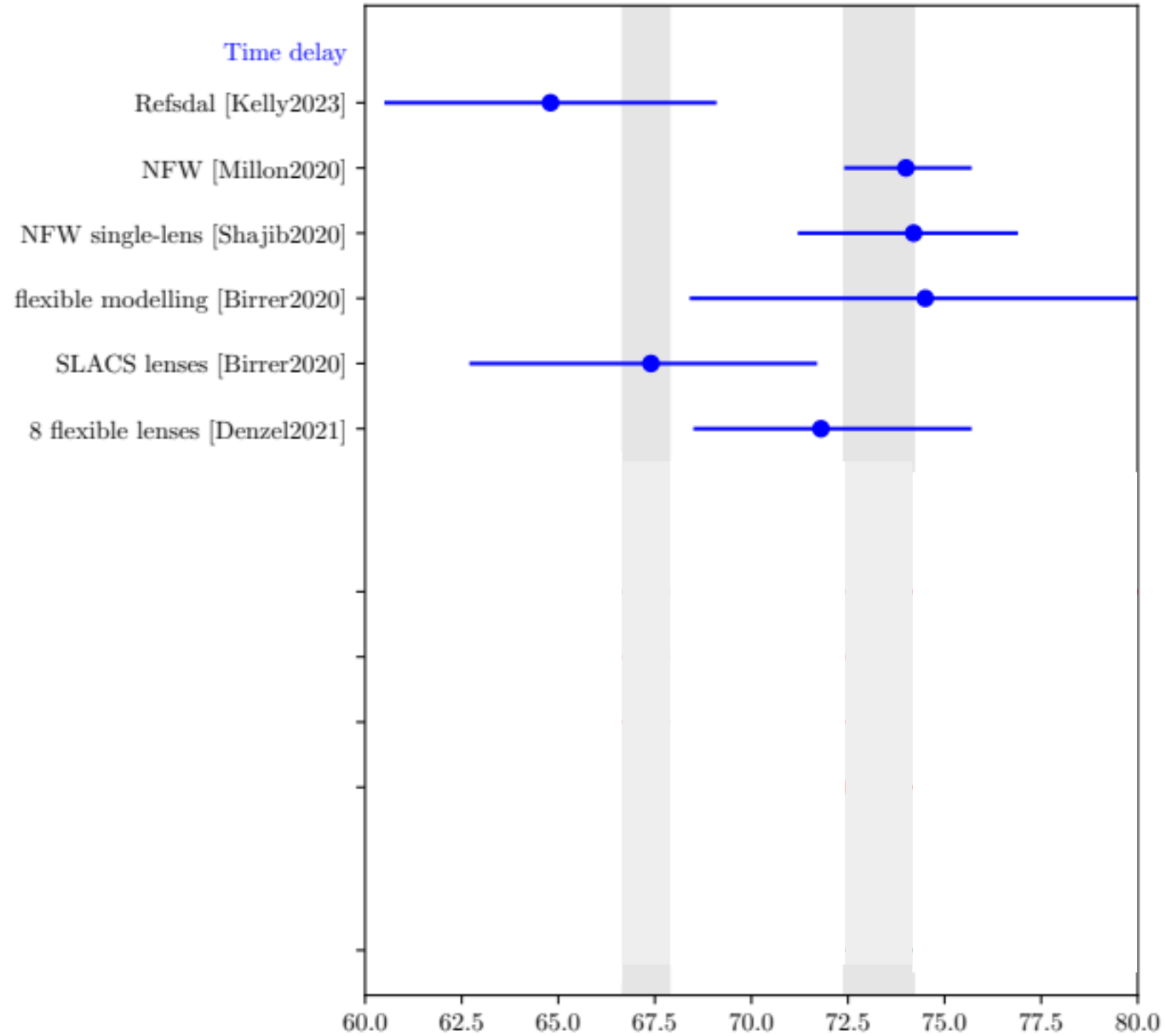
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RXJ1131

$$\Delta \phi_{\text{Fermat}} \rightarrow (1 - \lambda) \Delta \phi_{\text{Fermat}}$$

Verde,Schöneberg,Gil-Marin (upcoming review in ARAA)



# STANDARD SIRENS

- Idea: Use GW to measure distance

$$h_{\times}(f_z) = \sqrt{\frac{5}{96}} \frac{G^{5/6} \mathcal{M}_z^2 (f_z \mathcal{M}_z)^{-7/6}}{c^{3/2} \pi^{2/3} d_L} \cos(i)$$

Mukherjee+2019 (arxiv:1909.08627)

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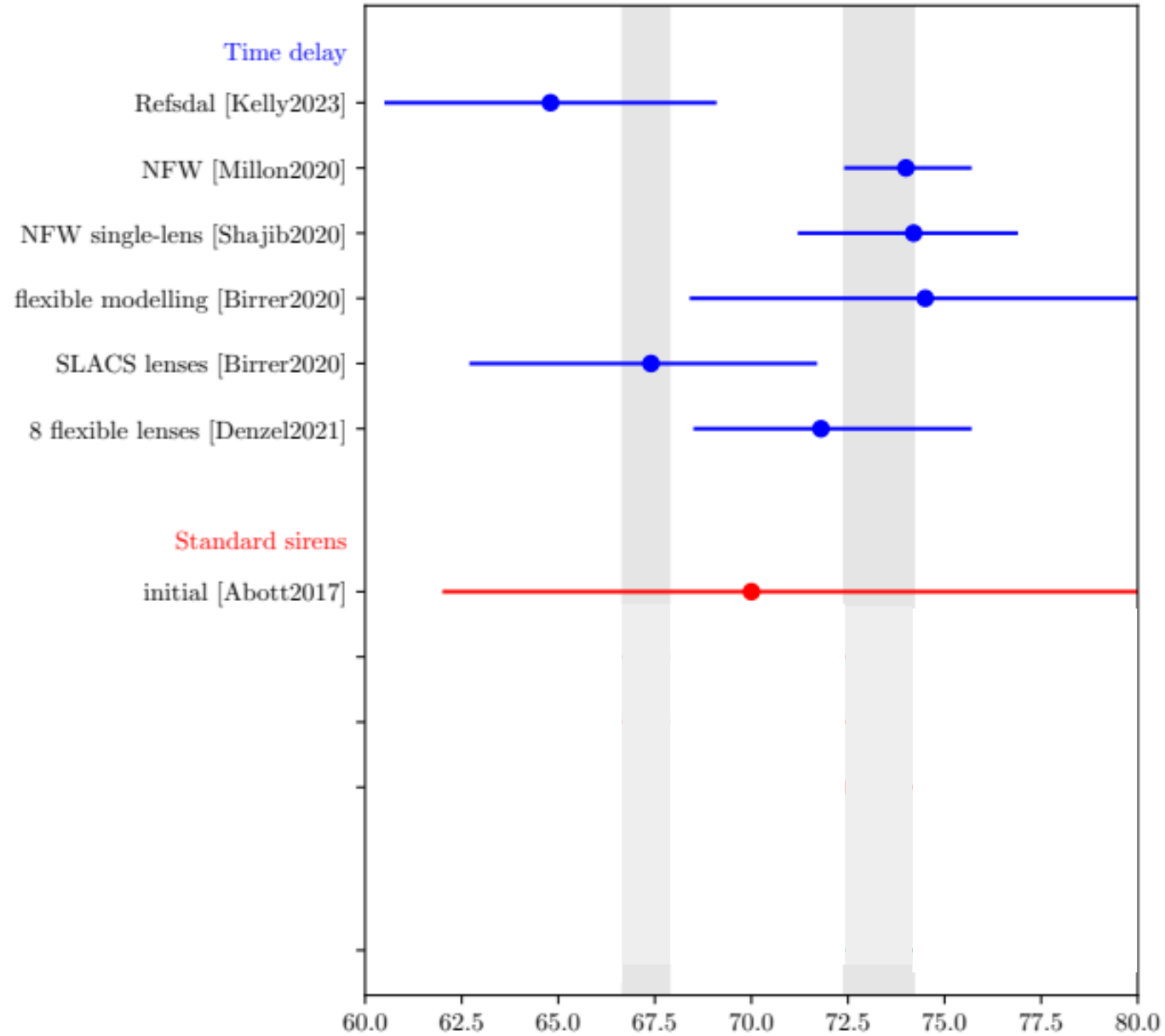
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electromagnetic counterpart  $\rightarrow z$

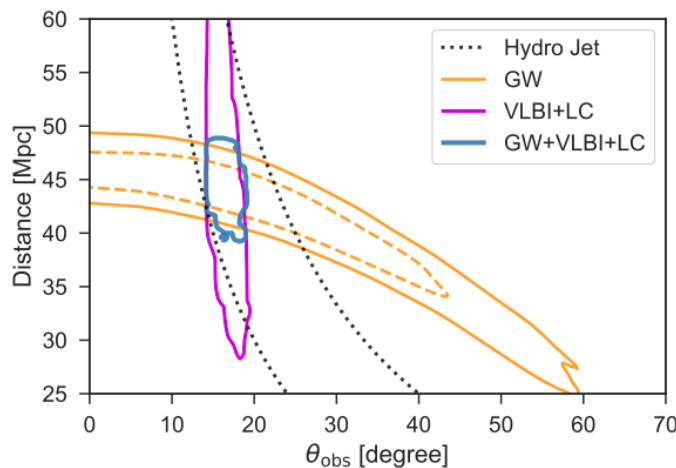
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Hotokezaka+2019 (1806.10596)

Mukherjee+2019 (arxiv:1909.08627)

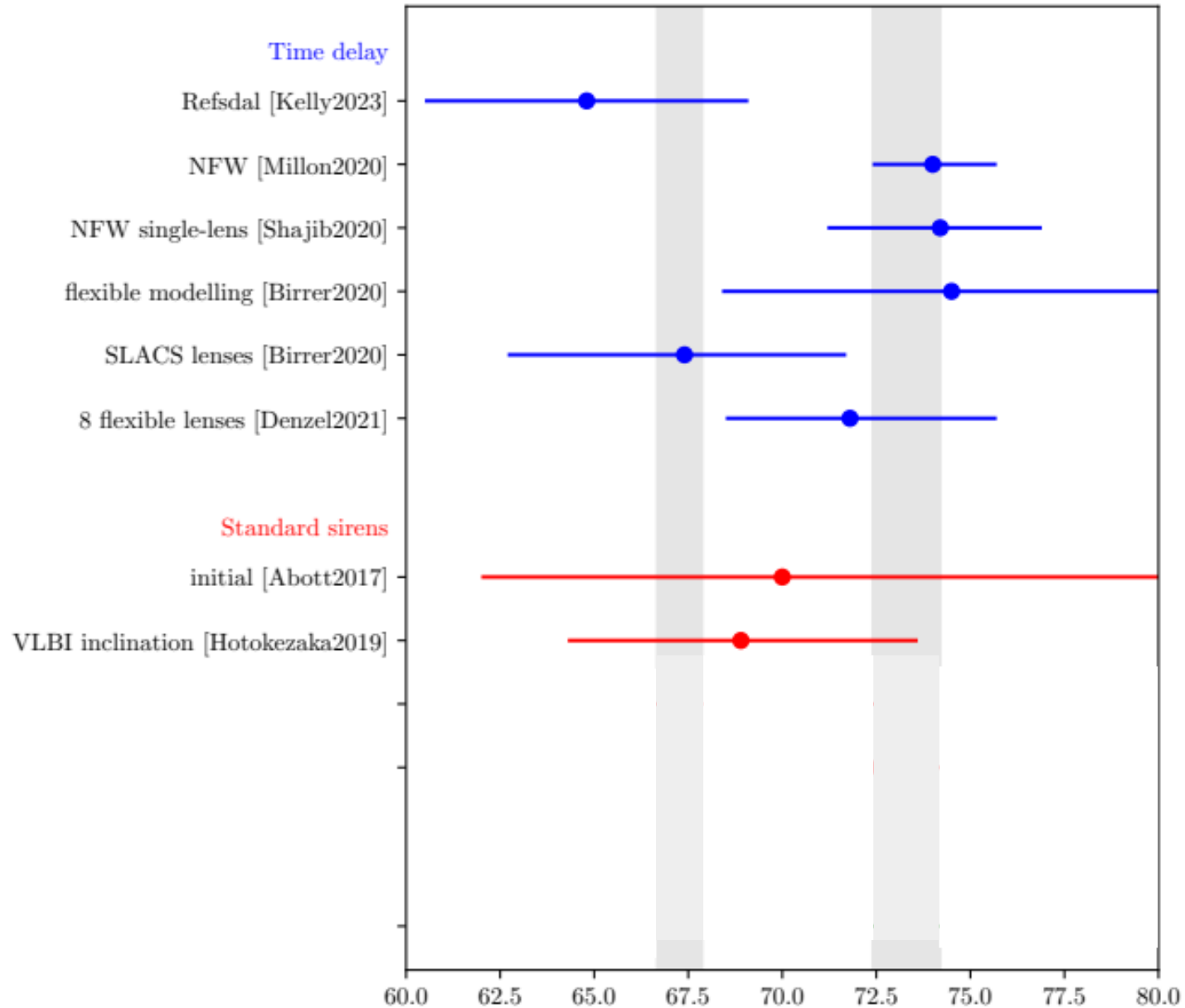
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+ high redshift = more Hubble flow compared to peculiar velocities

Redshift of supernovae Ia: 0.15 – 2.0

Redshift of GW170817: 0.01



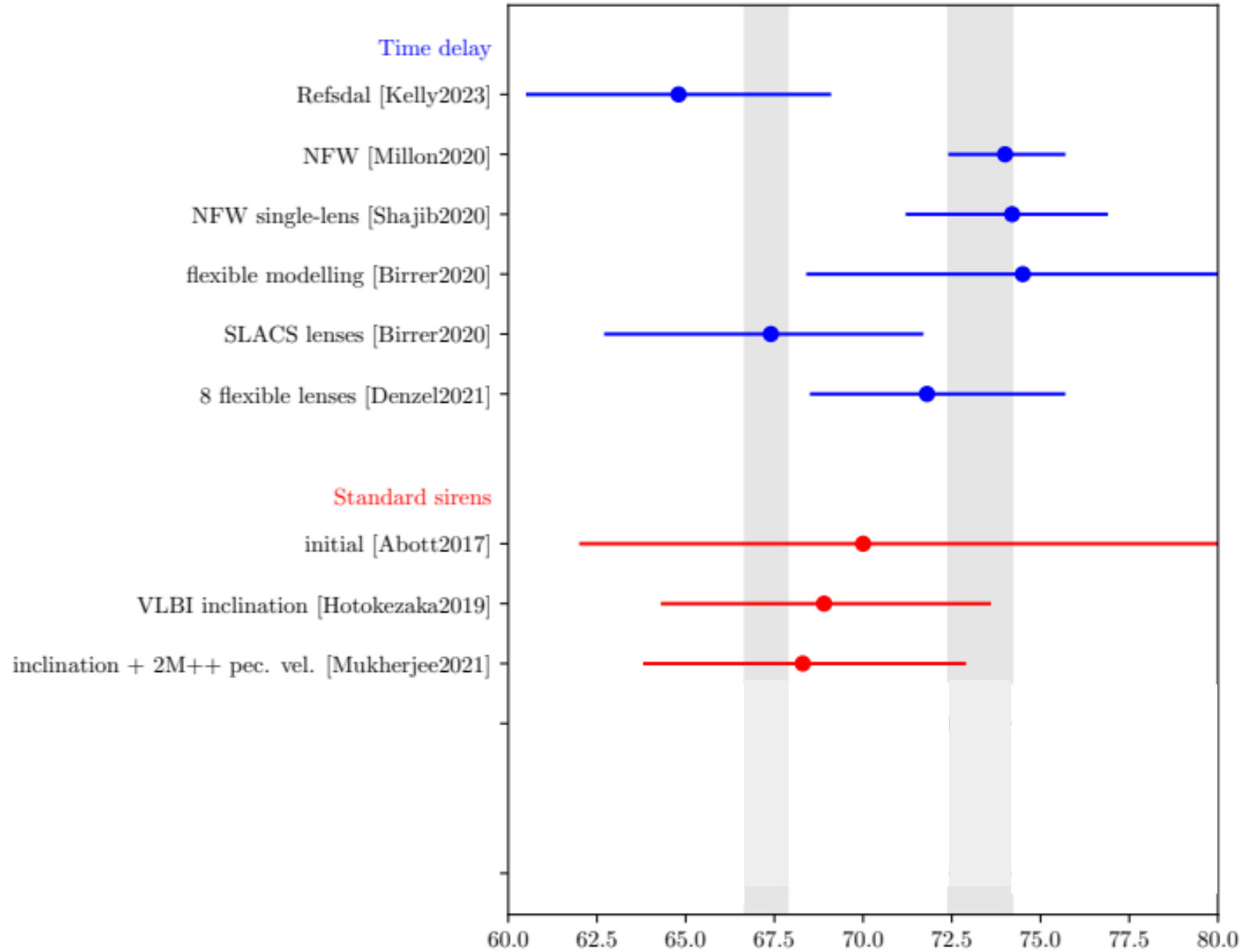
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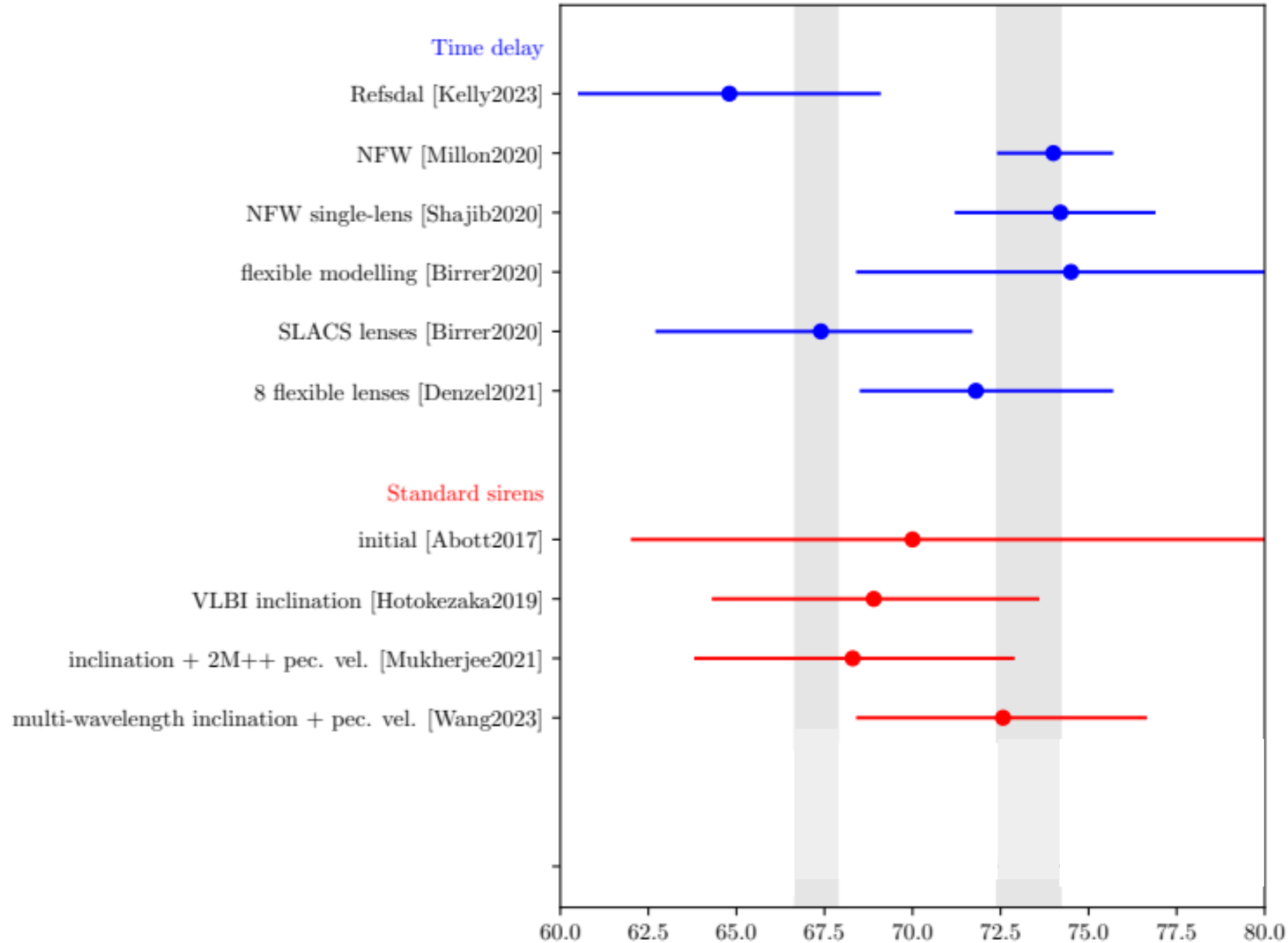
# QUICK REMINDER

- Each individual object in Hubble flow is subject to **peculiar velocities**
- If we have many object, we can hope velocities average out/treat them as scatter
- If we have only one object, this is a **source of uncertainty**
- However, we can estimate it (from surrounding structure)

Verde,Schöneberg,Gil-Marin (upcoming review in ARAA)

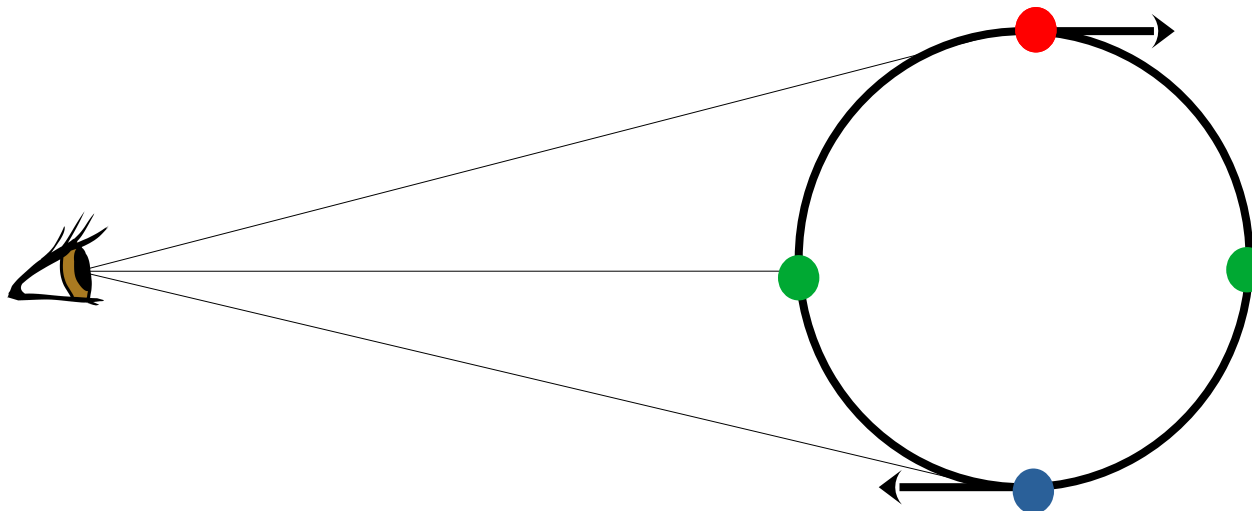


Verde, Schöneberg, Gil-Marin (upcoming review in ARAA)



# MASERS – DISTANCES FROM ACCELERATION

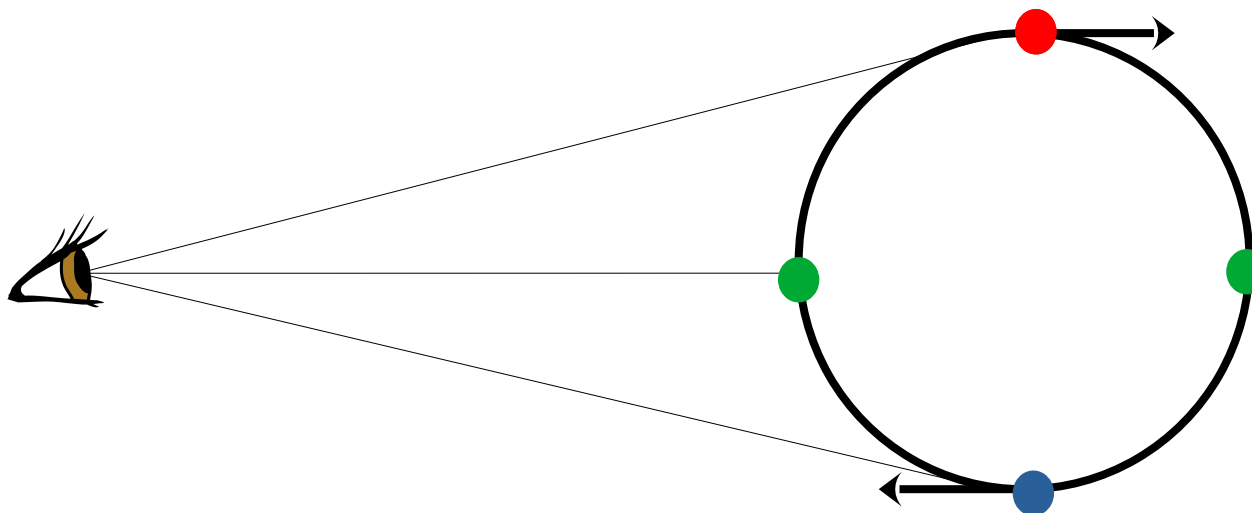
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Blueshift/redshift = orbital velocity

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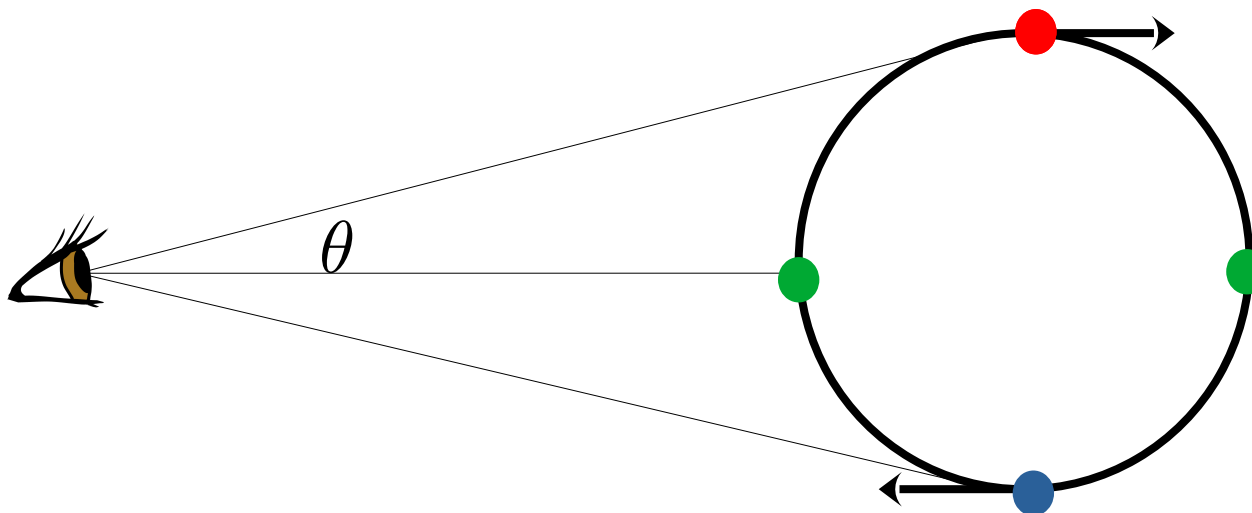


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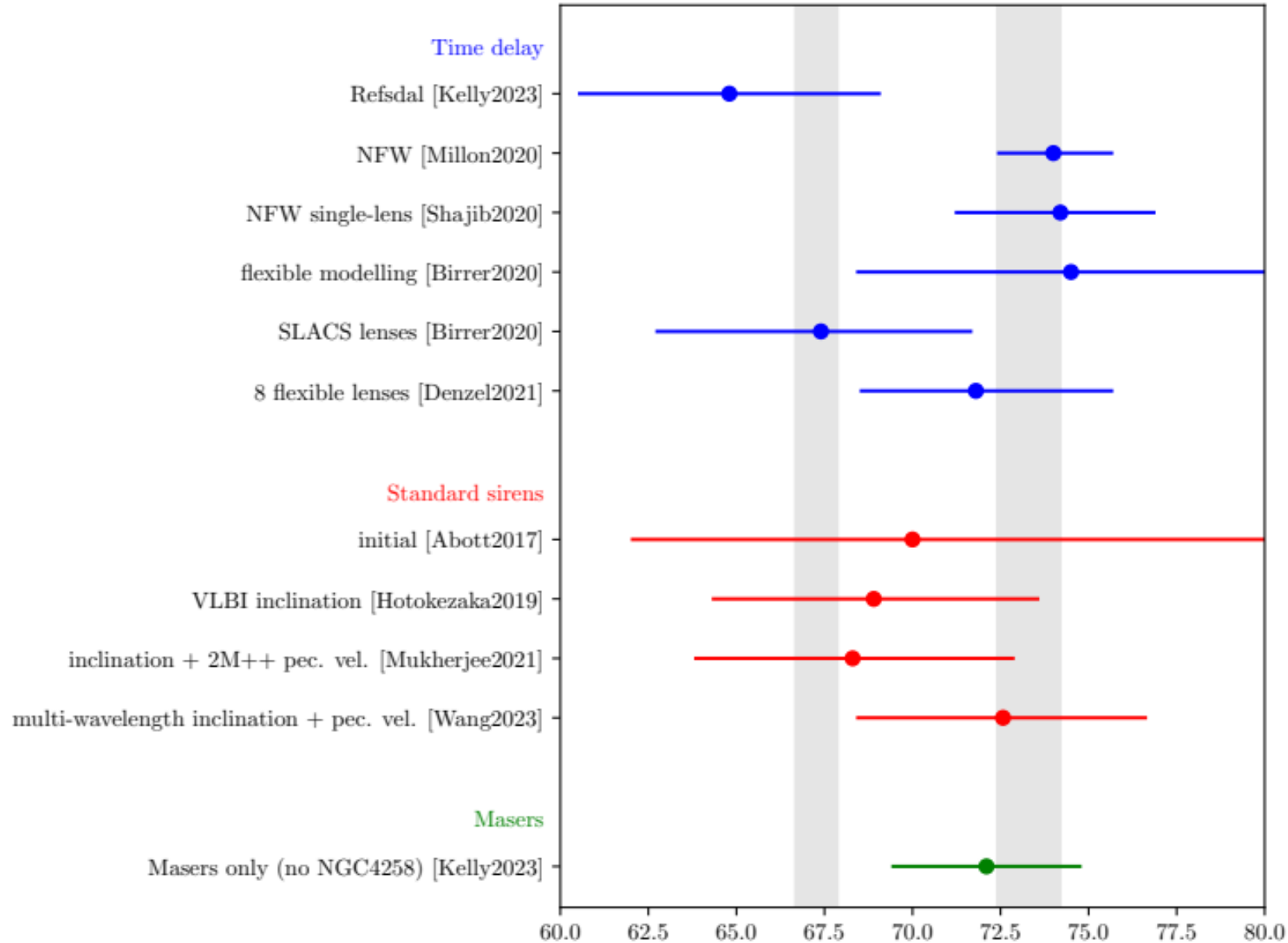
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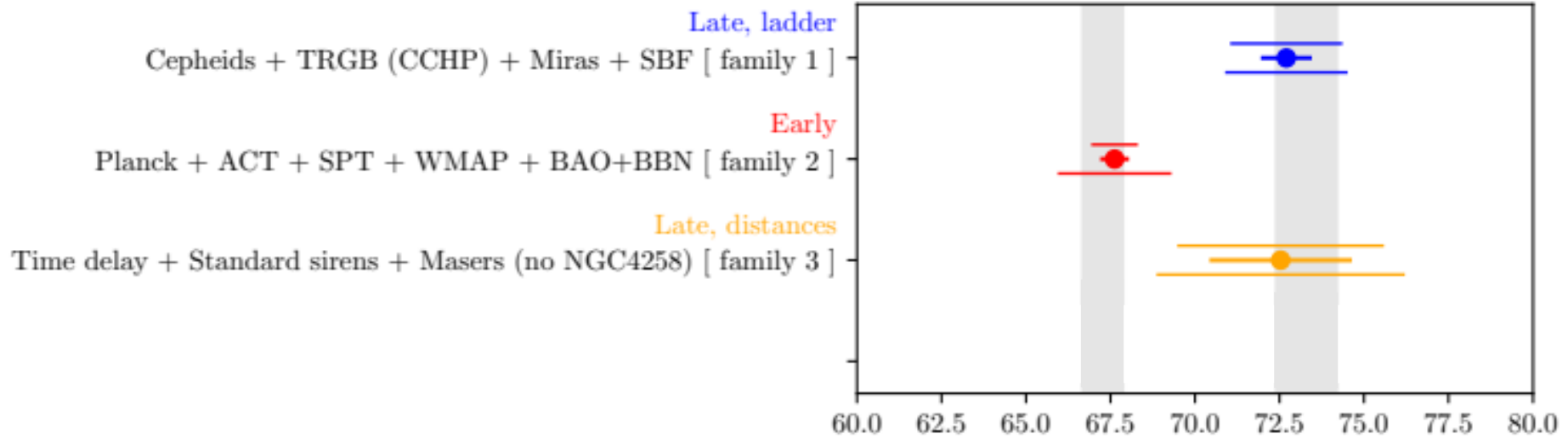
$$r = v^2 / a$$

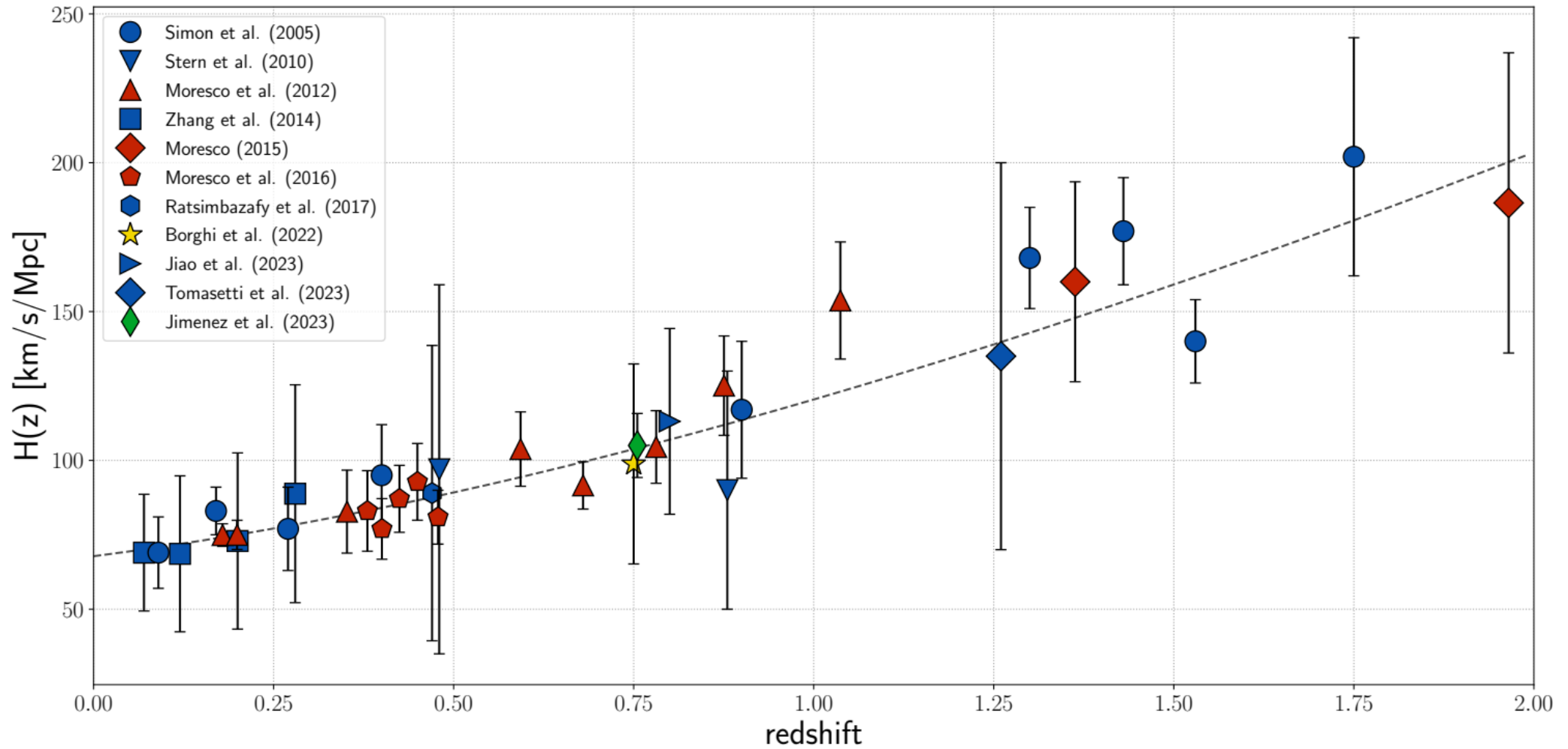
$$d = r / \tan \theta$$

Verde,Schöneberg,Gil-Marin (upcoming review in ARAA)

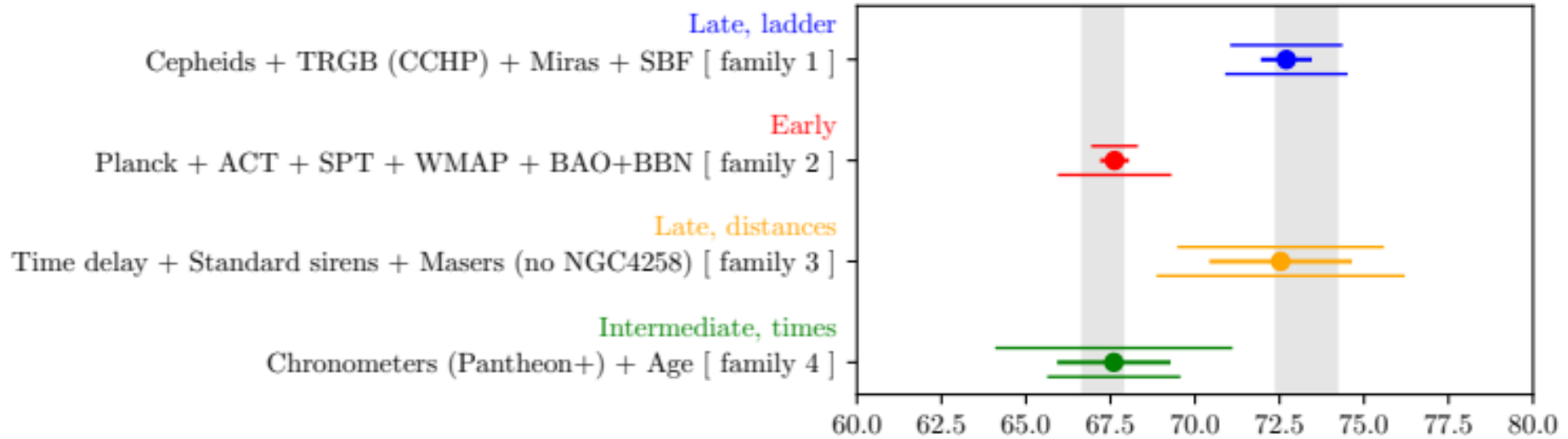








Verde, Schöneberg, Gil-Marin (upcoming review in ARAA)



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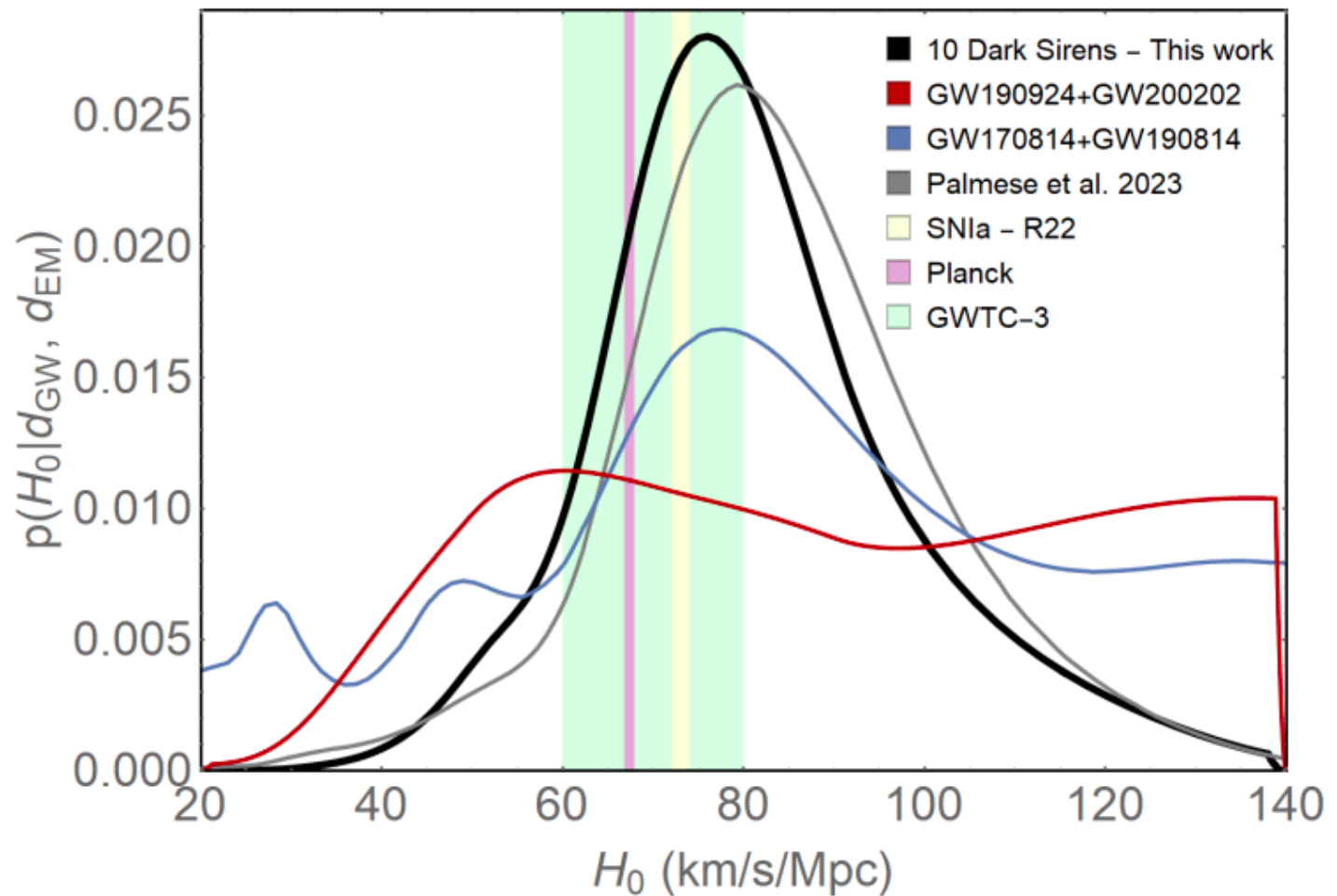
- Electromagnetic counterpart → Standard siren
- No EW → ~~No Hubble?~~ Not so fast!
- We might not get *individual* distances, but we can estimate **stochastic distances**

# DARK SIRENS

- Use electromagnetic observations (light) from galaxies to estimate their distribution
- This is assuming binary coalescences are **associated to** objects in **galaxies** and assuming we know the **rate of merges** in galaxies  
(and that the galaxy catalogue contains the merger event source)  
(e.g. 2212.08694, 2310.13695)

# DARK SIRENS

Alfradique+2023 (2310.13695)



Not yet  
competitive,  
but with  
 $O(1000s)$   
events it might  
become

*Talk by Simone*



# FUTURE EXPECTATIONS

- If I could see the future, I would not be a physicist!

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- More CMB data (ACT DR6)

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- Alternative methods reaching decent precision (FRB, GRB, QSOs, time delay, chronometers)
- Will GW cosmology be a part of that?

# TAKEAWAYS:

- CMB determination of  $H_0$  is model-dependent
- BAO+BBN excellent alternative (calibrated  $r_s$ )
- Standard candle  $\cong$  object of which intrinsic magnitude can be estimated
- Many alternate measurements
- GW could be a part of the search for an answer!

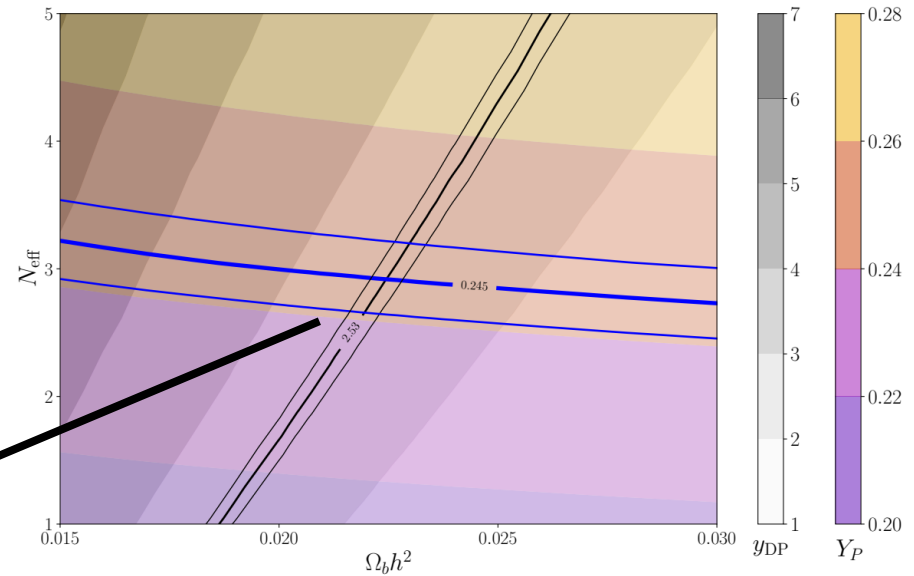
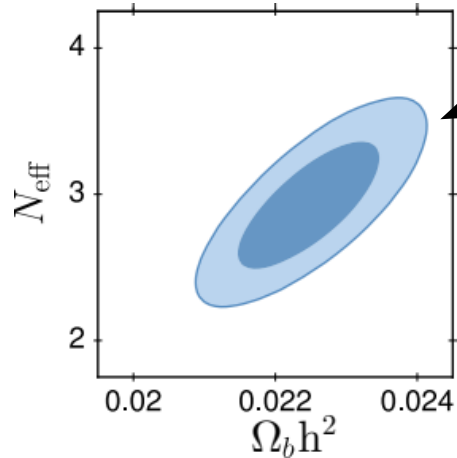
# BACKUP SLIDES



# BBN AND THE BARYONS

## GENERAL IDEA:

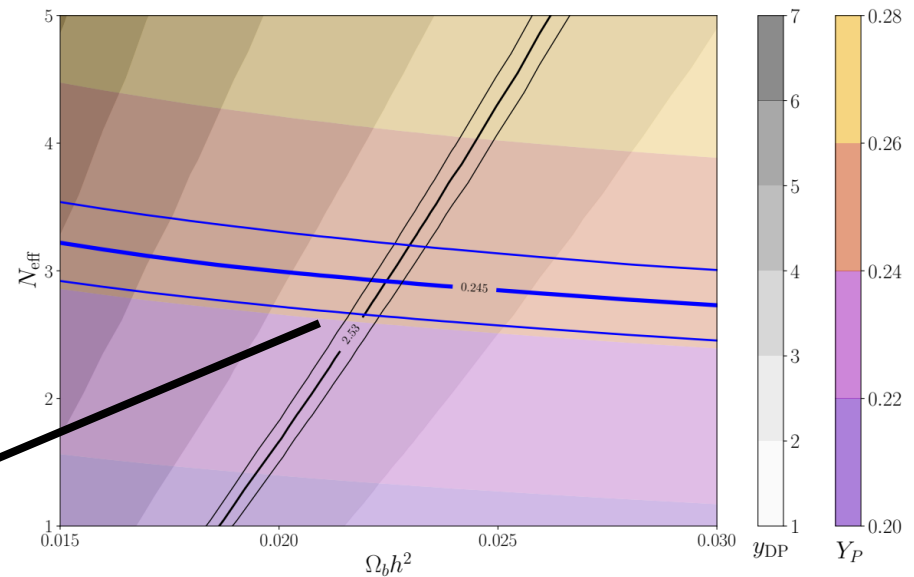
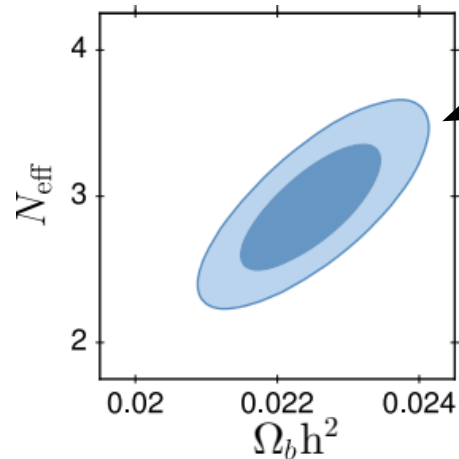
2) BBN determines  $\Omega_b h^2$



# BBN AND THE BARYONS

## GENERAL IDEA:

2) BBN determines  $\Omega_b h^2$



$$\Omega_b h^2 \rightarrow n_b \propto \Omega_b h^2 \rightarrow \eta_b = n_b/n_\gamma \propto \Omega_b h^2 T^{-3}$$

$\Omega_b h^2$  determines time of decoupling from photons

→ Strong influence on Deuterium

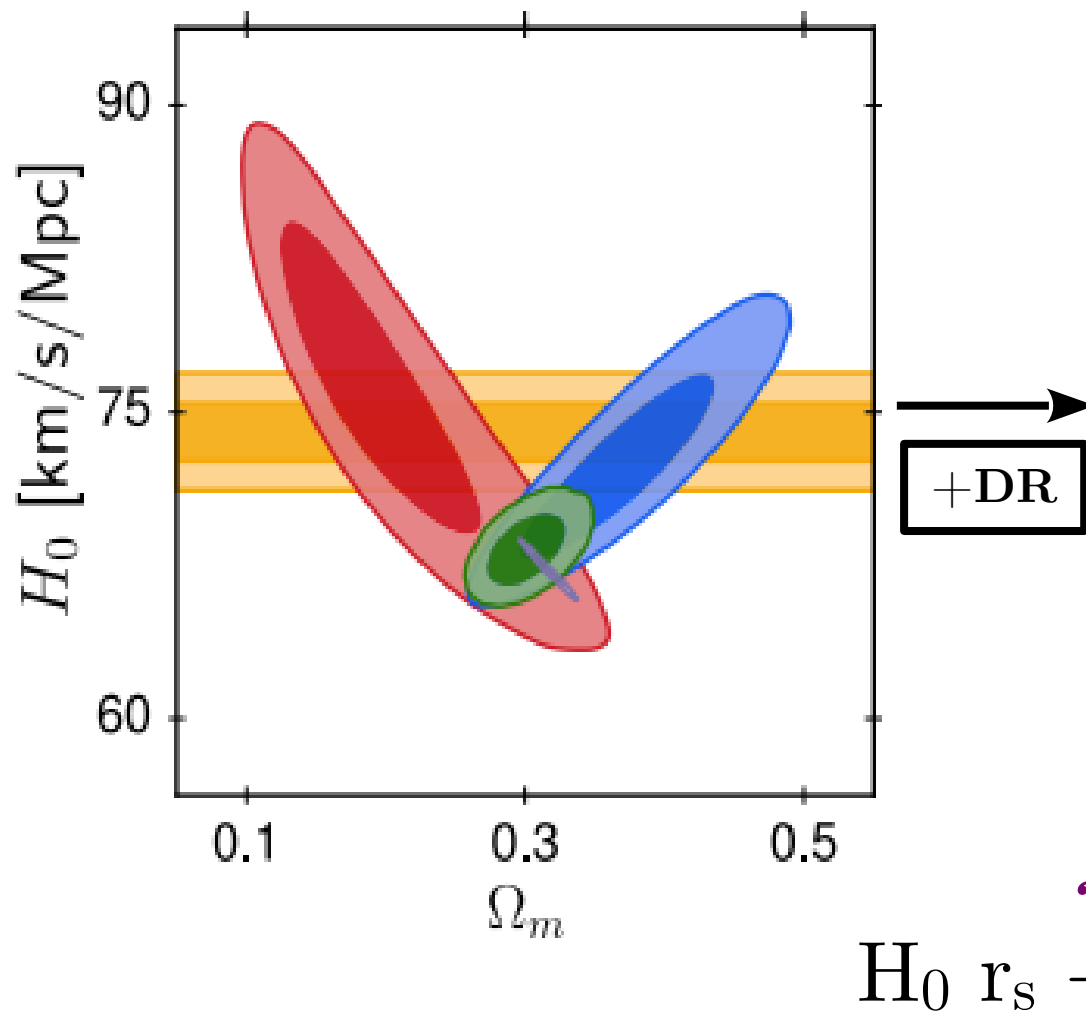
More baryons → earlier decoupling → higher temperature → more efficient deuterium burning → Less deuterium, slightly more Helium

# BAO + BBN

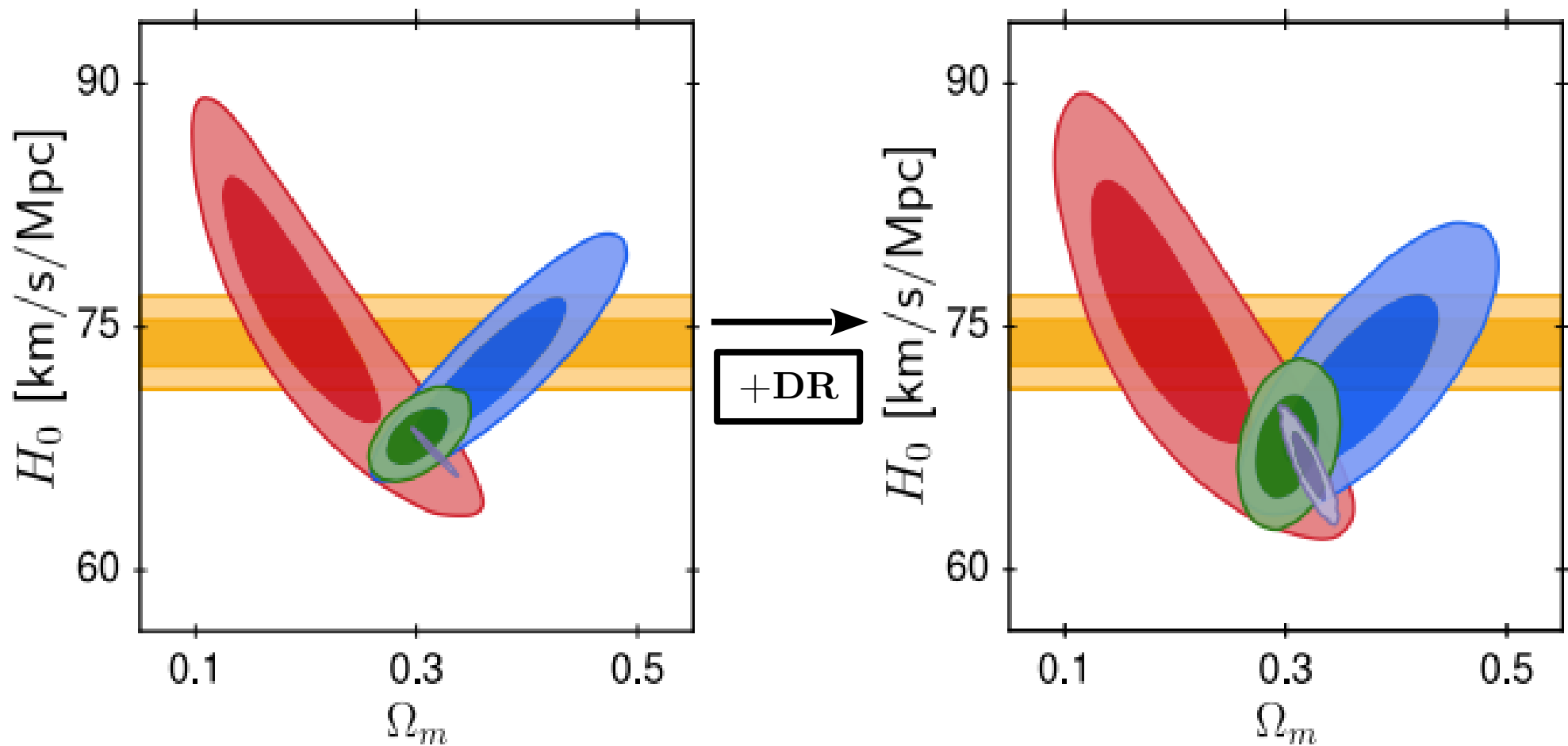
**IT WORKS!**

→ Is it a robust result?

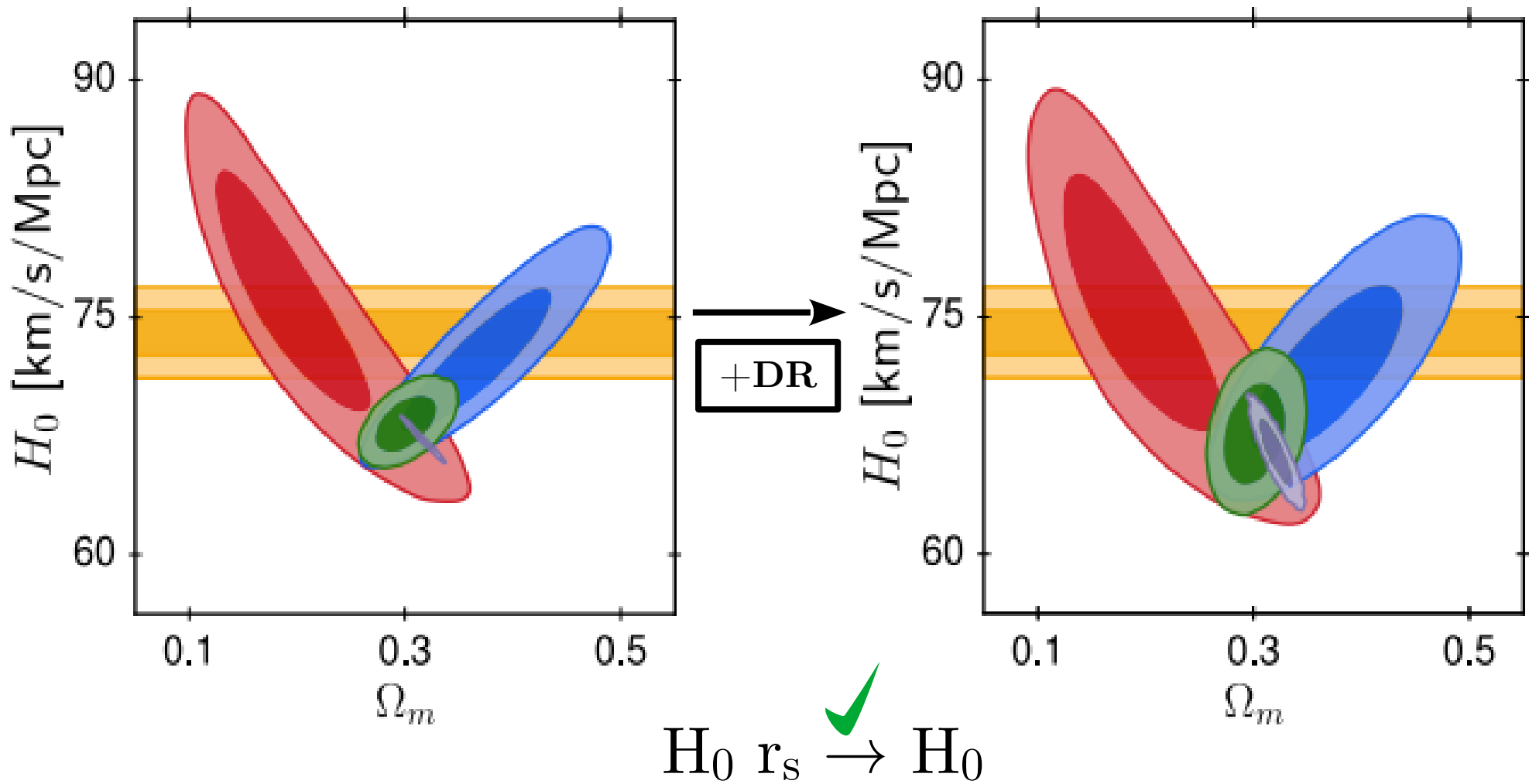
## BAO + BBN



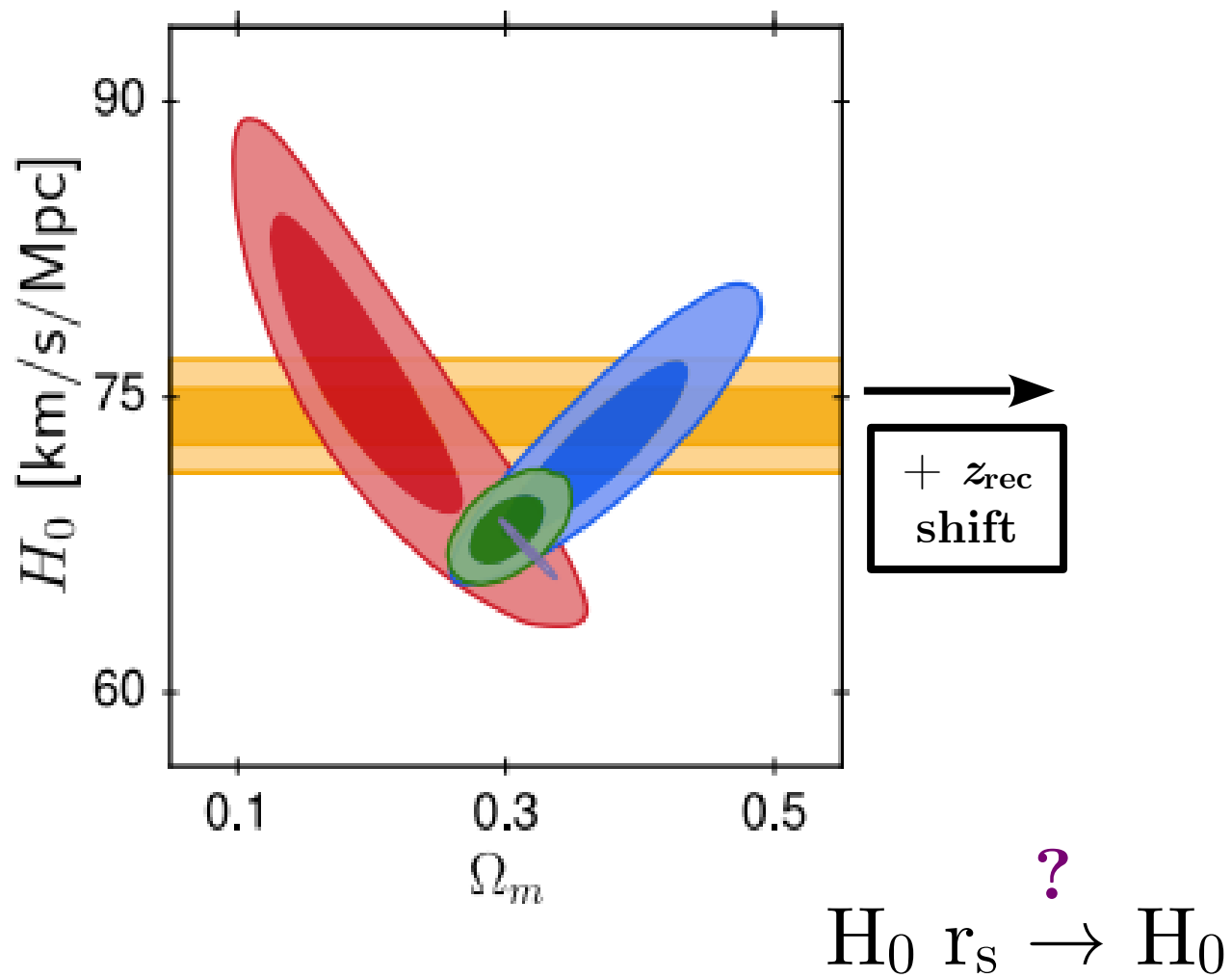
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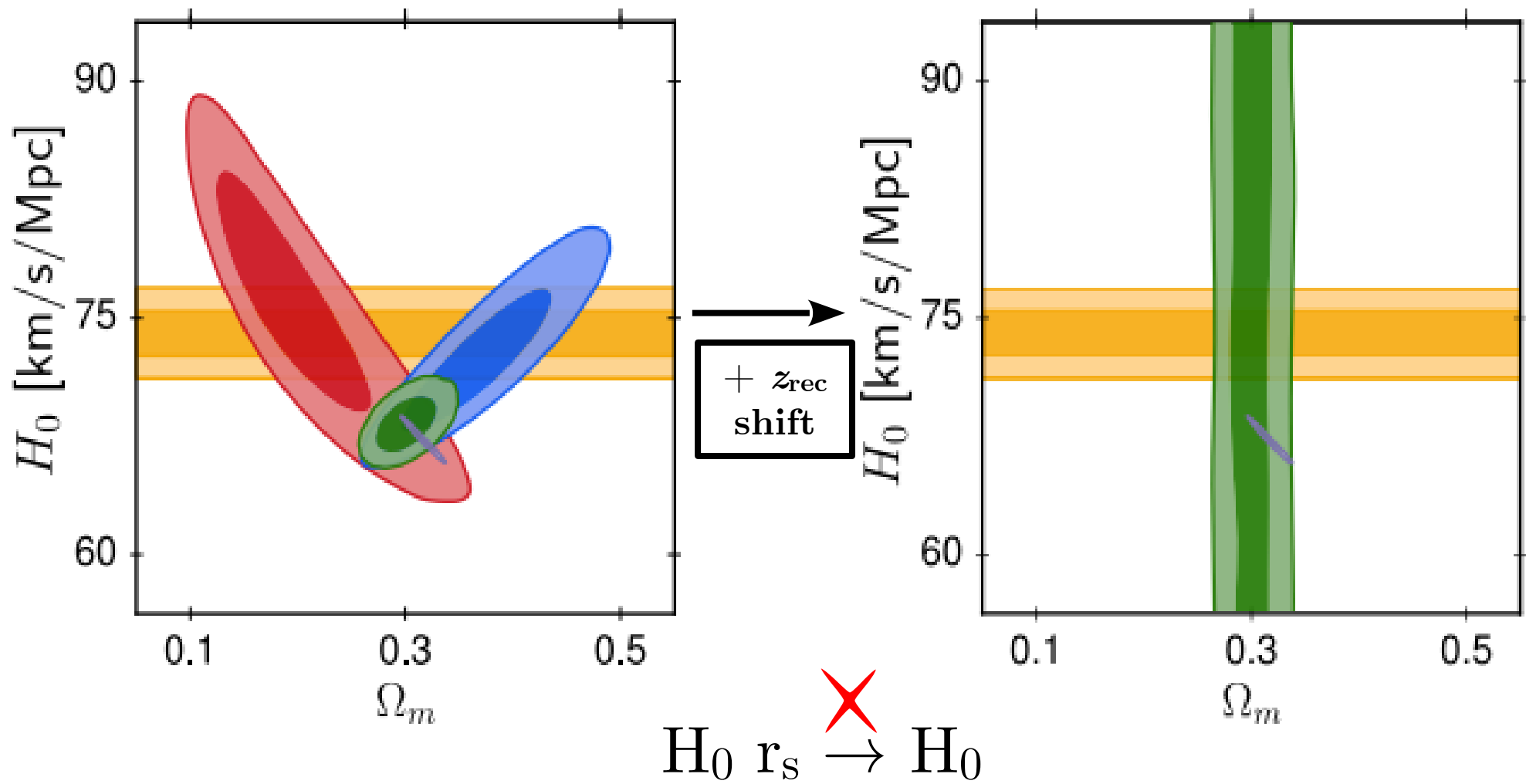
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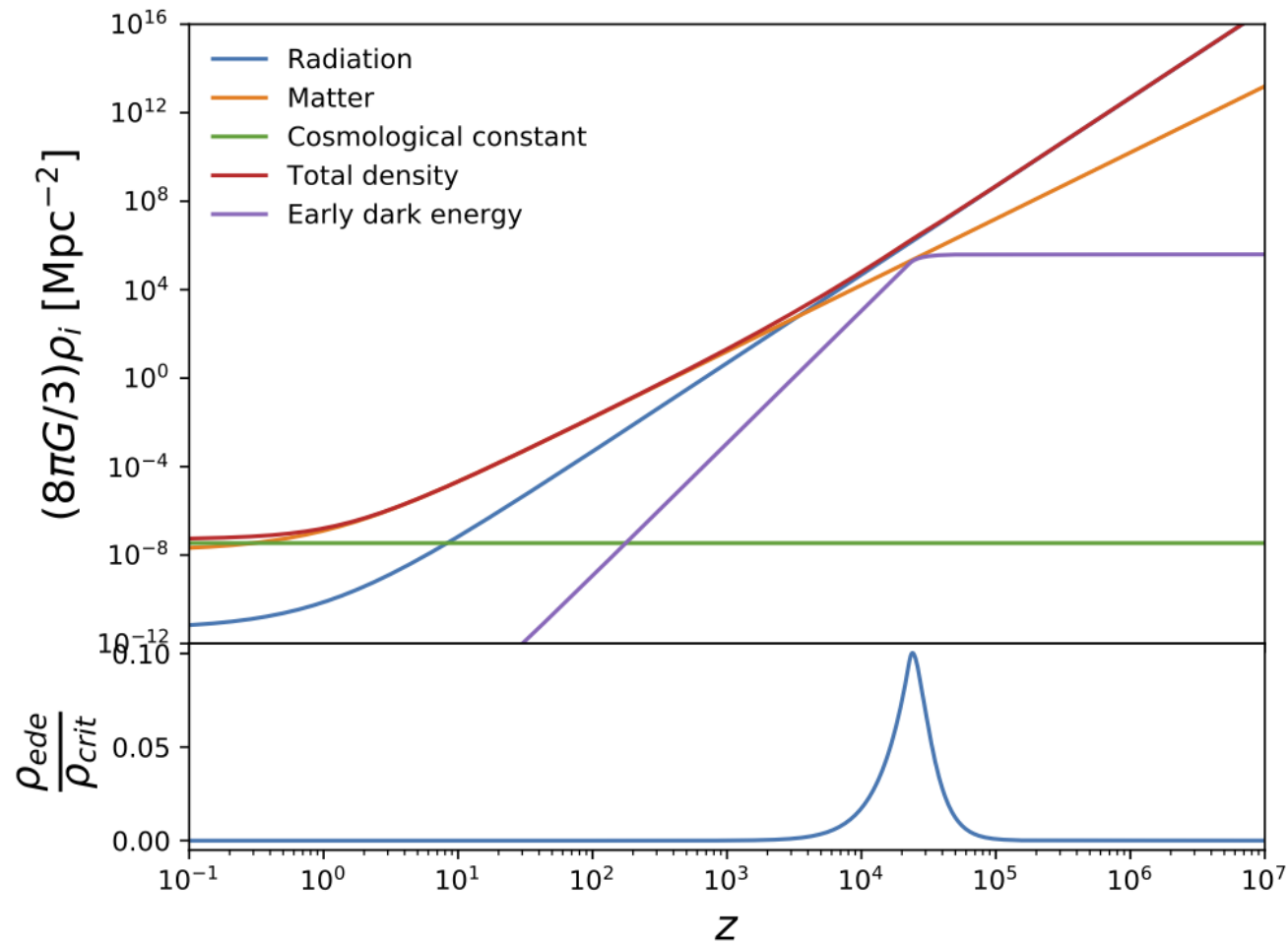


## BAO + BBN





# EARLY DARK ENERGY



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