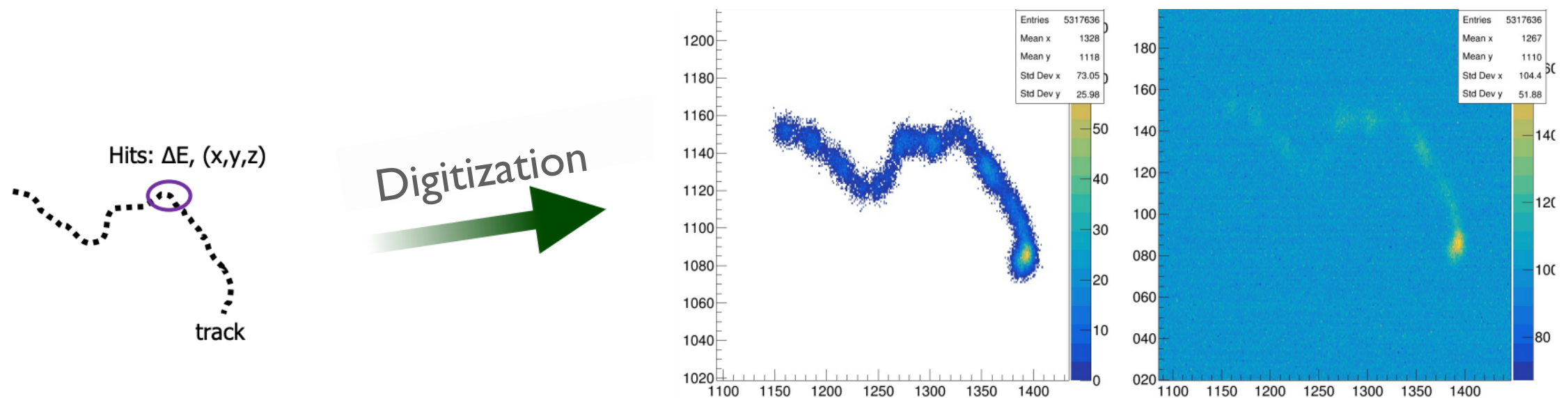

Recap on Simulation flow and Data-MC comparison

Digitization flow

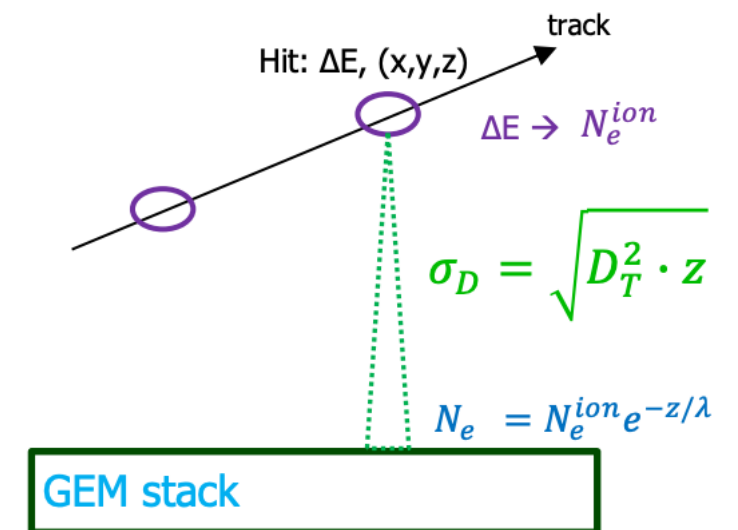
From a GEANT4 track $\longrightarrow$ To a sCMOS-like image



- For each hit of the track:

- A mean number of ionization electrons are produced:

$$\bar{N}_e^{ion} = \Delta E / W \quad (W = 46.2 \text{ eV/pair in He/CF}_4 \text{ 60/40})$$
- The actual number N_e^{ion} of ionization electrons is obtained from a Poisson distribution with mean $= \bar{N}_e^{ion}$
- Ionization electrons are partially absorbed in the gas: $N_e = N_e^{ion} e^{-z/\lambda}$ where z is the distance from the GEM stack

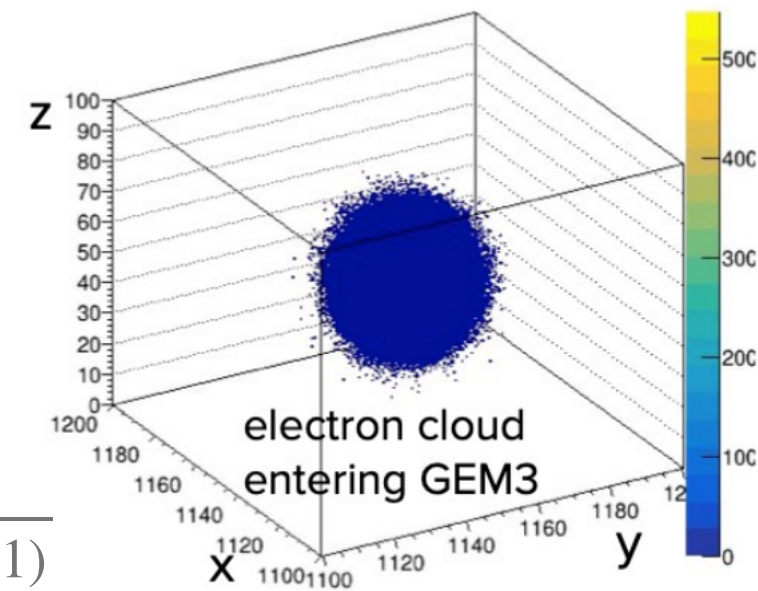
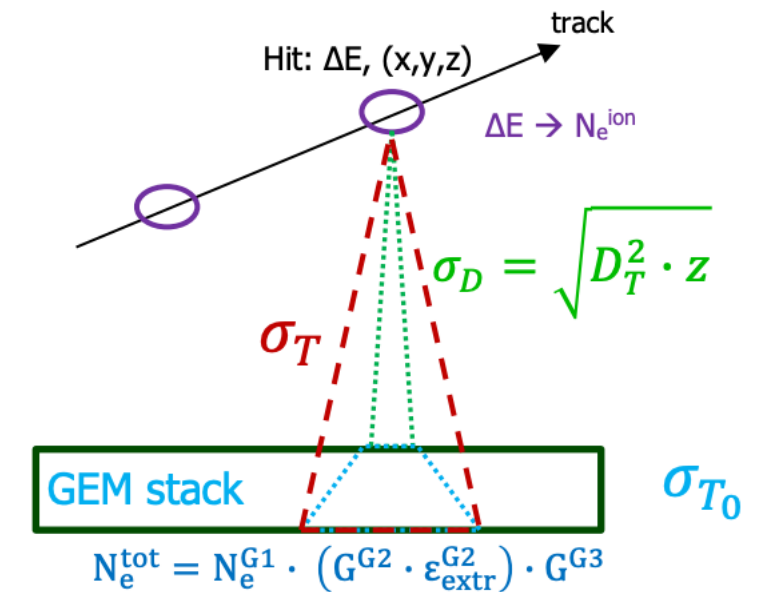


Digitization flow

- GEM gain fluctuation and diffusion
 - Gain fluctuations in the first foil only are relevant:
 - For each ionization electron $N_e^{G1,k}$ multiplication electrons in the first GEM ($k=1, N_e^{ion}$) are extracted using an exponential distribution with mean = G^{G1} (G^{G1} is the gain of the first GEM foil)
 - Total number of multiplication electron for the first foil:

$$N_e^{G1} = \sum_k N_e^{G1,k} \cdot \epsilon_{extr}^{G1} \quad (\epsilon_{extr}^{G1} : \text{extraction efficiency for the first GEM})$$
 - The total number of multiplication electrons computed considering the gain of other GEM foils and the extraction efficiency of the second foil:

$$N_e^{tot} = N_e^{G1} \cdot (G^{G2} \cdot \epsilon_{extr}^{G2}) \cdot G^{G3}$$
- Saturation:
 - Electrons from G1/2 diffused in 3D voxels: $\sigma_T = \sqrt{\sigma_{T_0}^2 + \sigma_{D,T}^2}$ $\sigma_L = \sqrt{\sigma_{L_0}^2 + \sigma_{D,L}^2}$
 - The number n of electrons in each voxel is multiplied by a gain $G^3 = A \frac{g}{1 + \frac{n}{n_h}(g-1)}$
 (where g is the non-saturated gain and A is an overall free parameter)
 - Finally the total number of electron is the sum of the electrons in all the voxels along the drift direction



Digitization flow

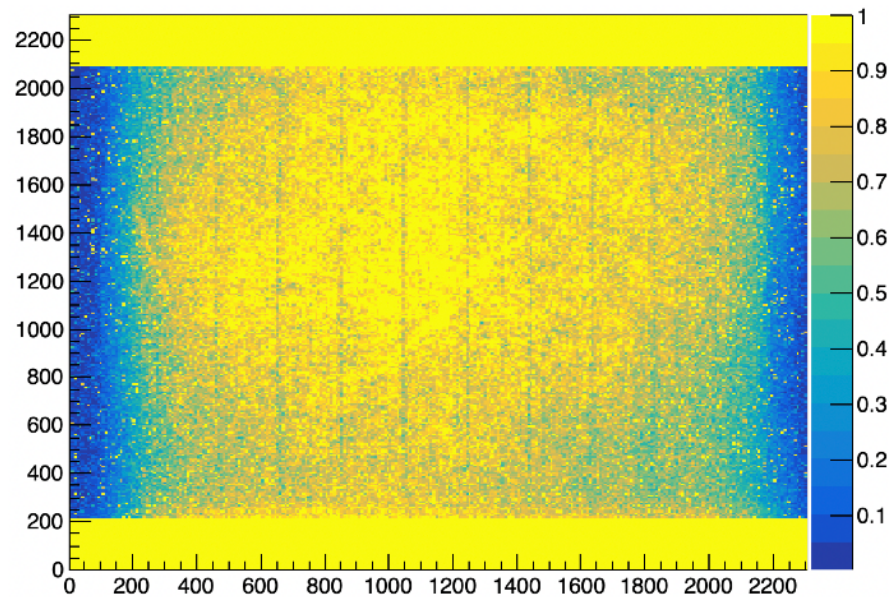
- Photon collection:

- The mean total number of photons per pixel is obtained using $0.07 \gamma/e : \bar{N}_\gamma^{tot} = N_e^{tot} \cdot 0.07 \gamma/e$
- The number of total photons N_γ^{tot} extracted from a Poissonian distribution with mean value $\bar{N}_\gamma^{tot}$
- The number of photons hitting the sensor depends on the solid angle ratio $N_\gamma = N_\gamma^{tot} \cdot \Omega$ where $\Omega = \frac{1}{(4 \cdot (\delta + 1)a)}$; where $\delta = \frac{image\ size}{sensor\ size}$ and $a=0.95$ aperture
- 2D histogram filled with the numbers of photons reaching given pixel

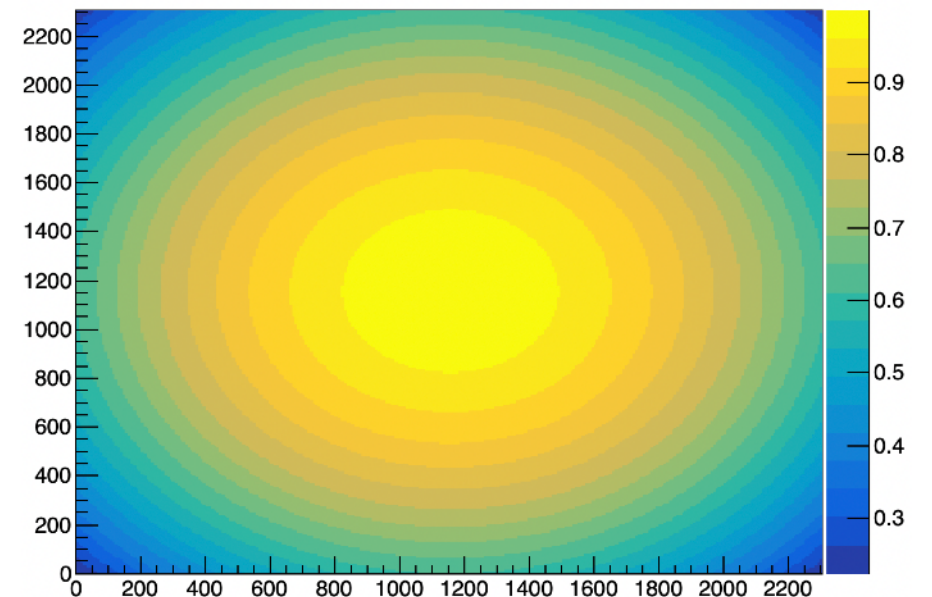
- Vignetting effect:

- Each pixel of the track is multiplied by the value of the vignetting map (<1)

Map Applied : GEM + Lens effect



Map 4 Correction (in reco) : Lens effect

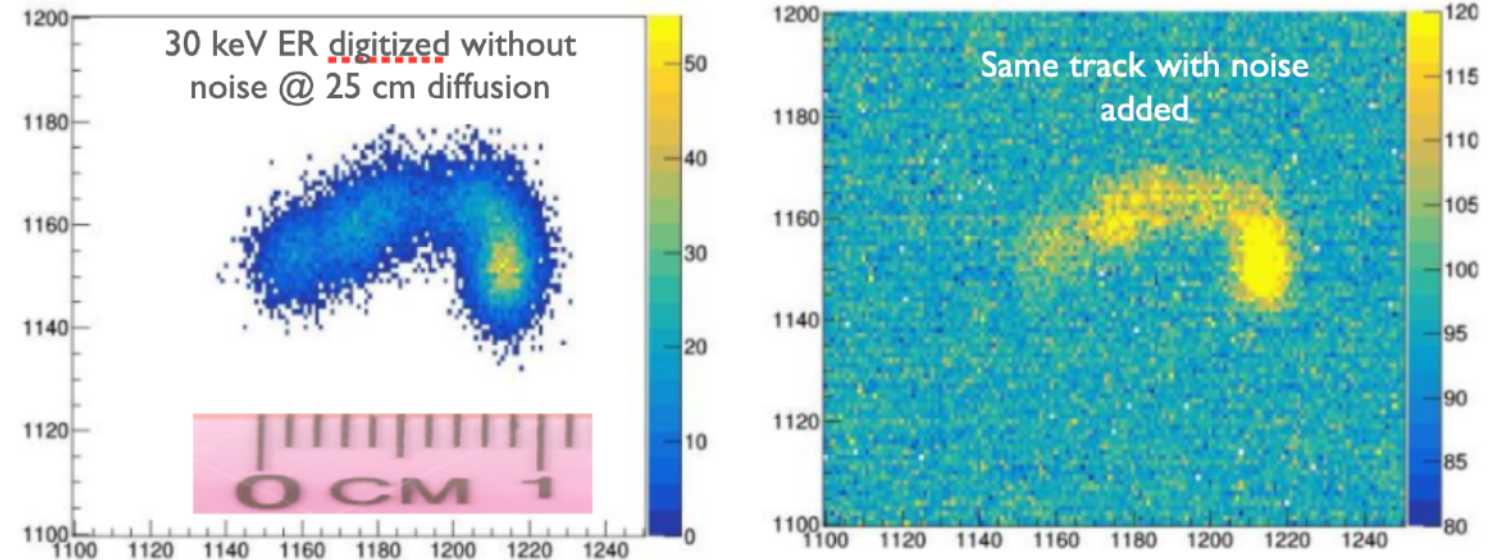


Consistent? Yes, in data, we have the GEM + lens effect, but we correct only for lens

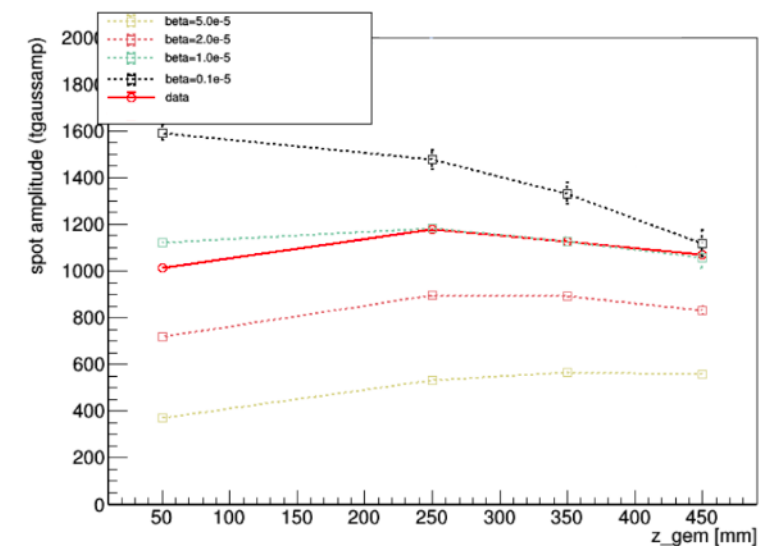
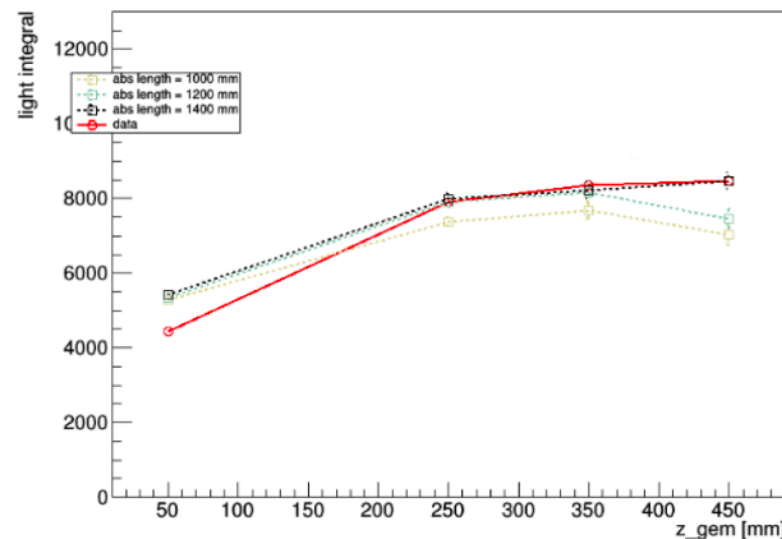
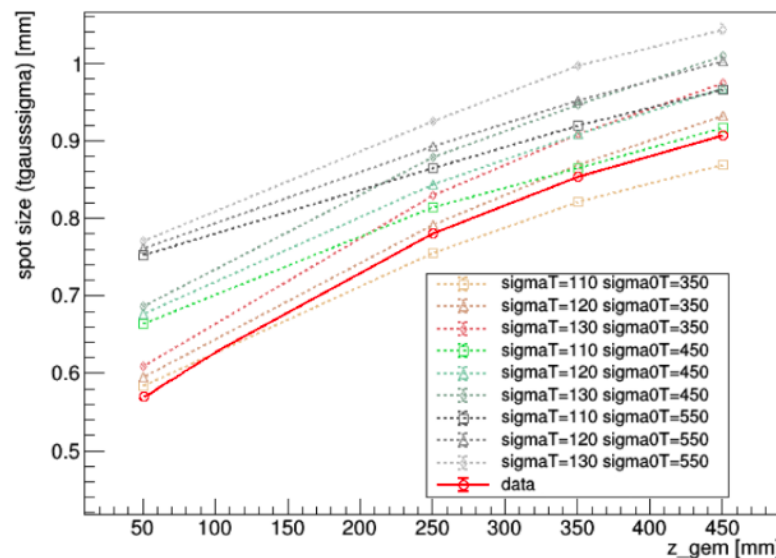
Digitization flow

- Pedestal addition:

- The tracks produced are then superimposed to real sCMOS pedestal to obtain the picture



- Extensive campaign on parameter to find and agreement between data and MC (from Pietro)



- W-value from PDG

<https://pdg.lbl.gov/2019/reviews/rpp2019-rev-particle-detectors-accel.pdf>

- Gain par from measurements

<https://arxiv.org/pdf/2007.00608.pdf>

- Extraction efficiency from measurement

<https://cds.cern.ch/record/2313231/files/CERN-THESIS-2018-027.pdf>

- Lambda par from pure optimization around a value

<https://arxiv.org/abs/2007.00608>

- Diffusion par from Garfield + optimizes

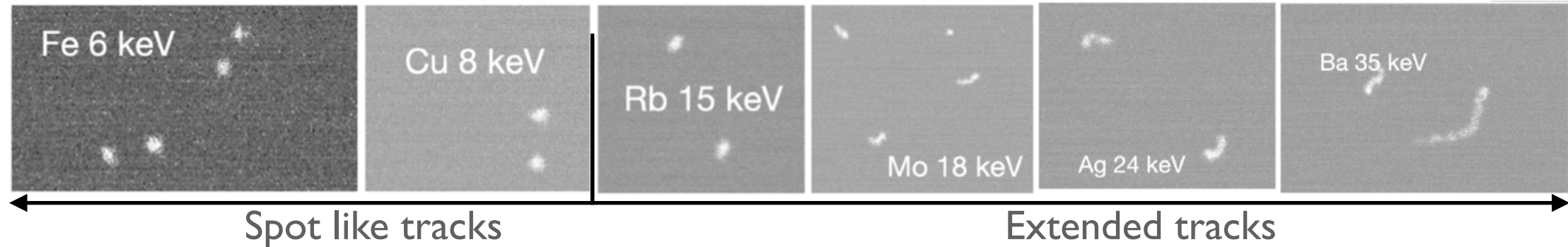
<https://arxiv.org/pdf/2007.00608.pdf>

- Saturation par from optimization

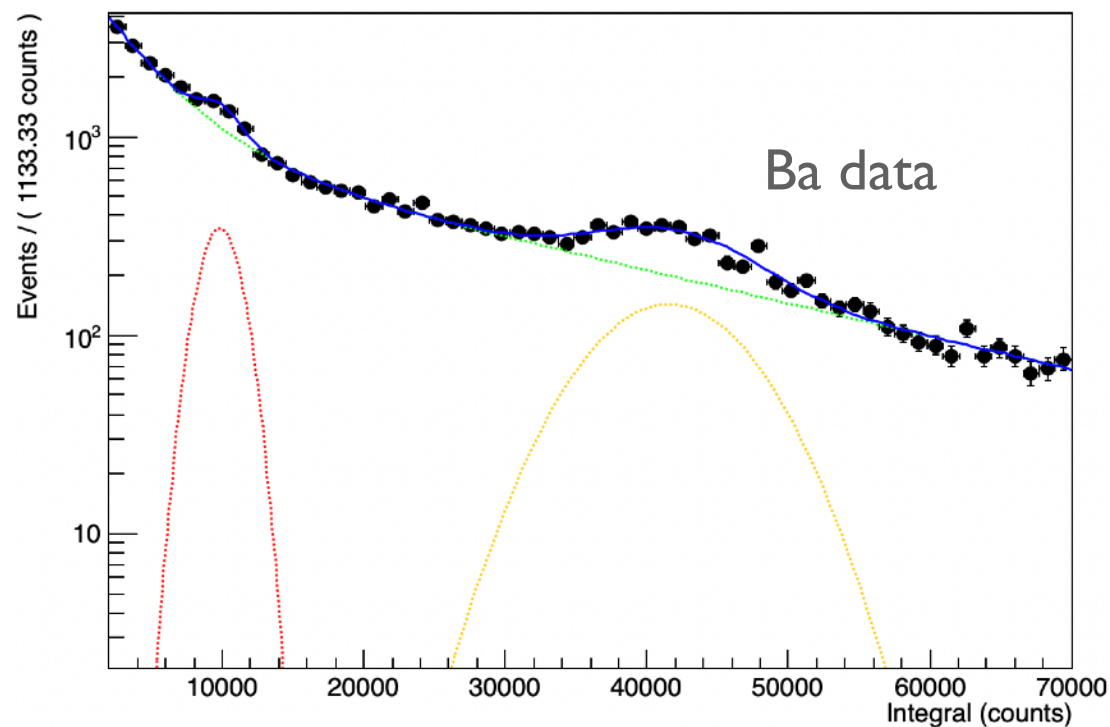
- Voxel size from pixels size

Energy response and resolution on data

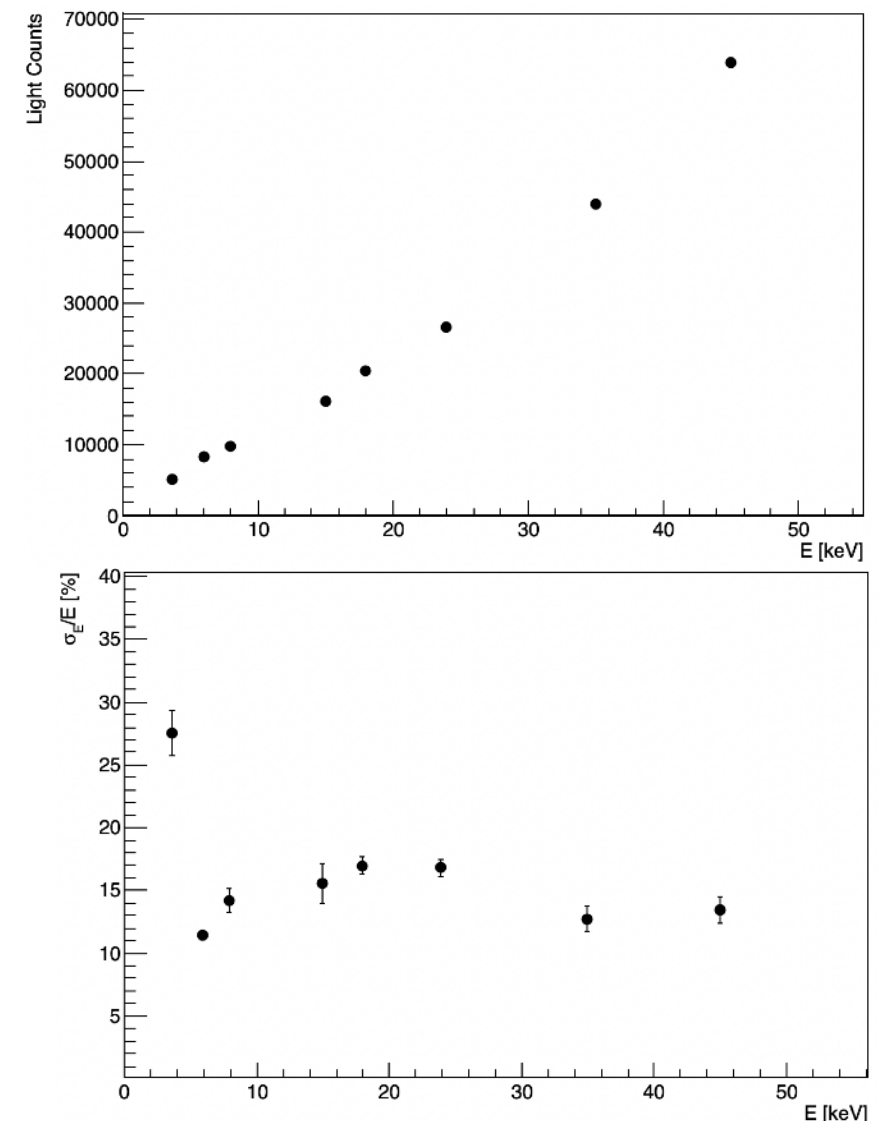
- Study of linearity and energy resolution performed overground with low energy electron recoils from X-Rays



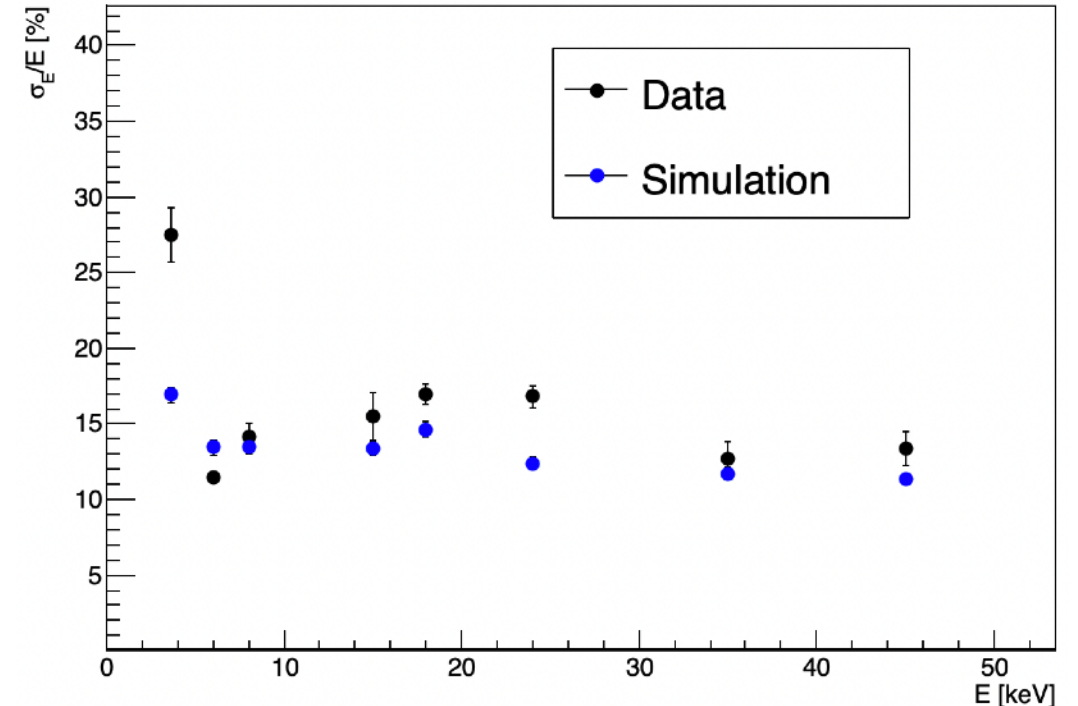
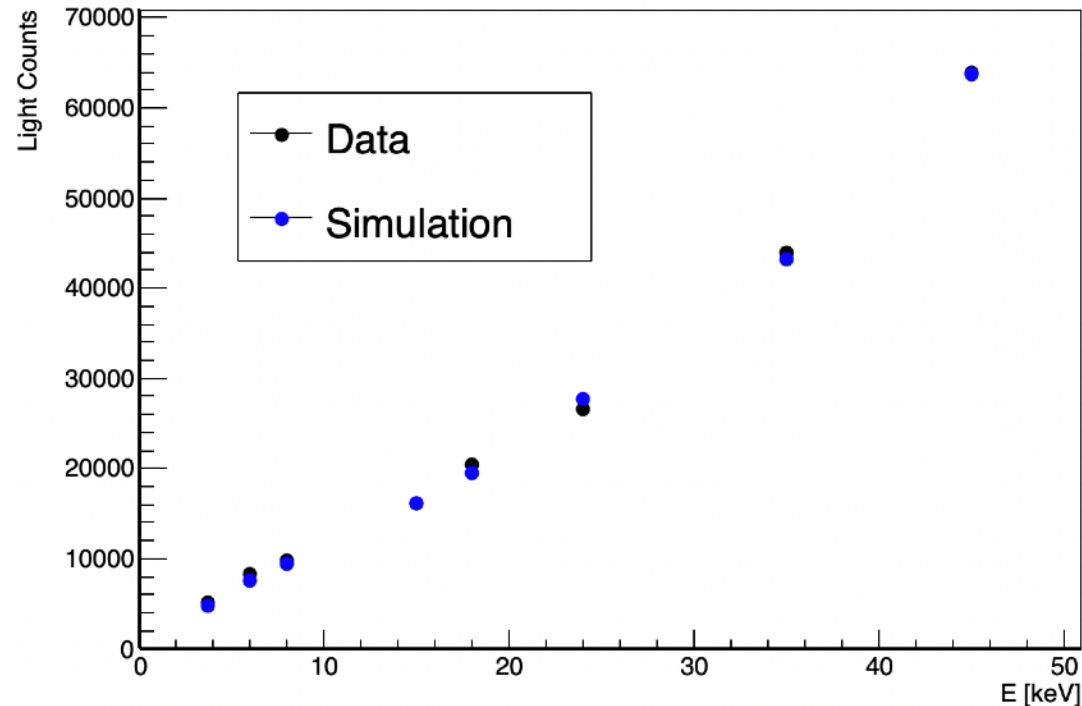
- Fit with 2 exponential + gaussians



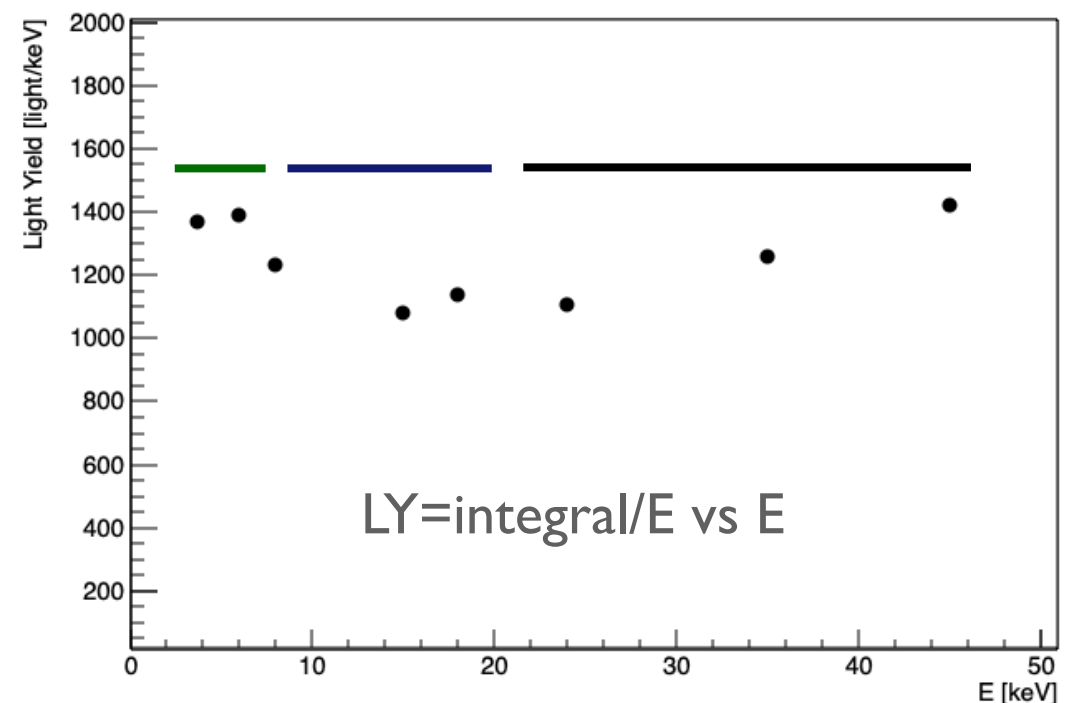
- No difference observed or worsening by reconstructing data with the GEM+Lens correction
- No significant difference in energy resolution and linearity fitting with separately the kalpha and kbeta shell



Data-MC comparison



- Track as a spot with few light (small or no saturation)
- Track as a spot with increasing in light $\rightarrow$ saturation $\rightarrow$ LY decrease (negligible tail)
- Track starts to have a consistent non saturated tail, dominating the light $\rightarrow$ saturation less effective on total light $\rightarrow$ LY decrease



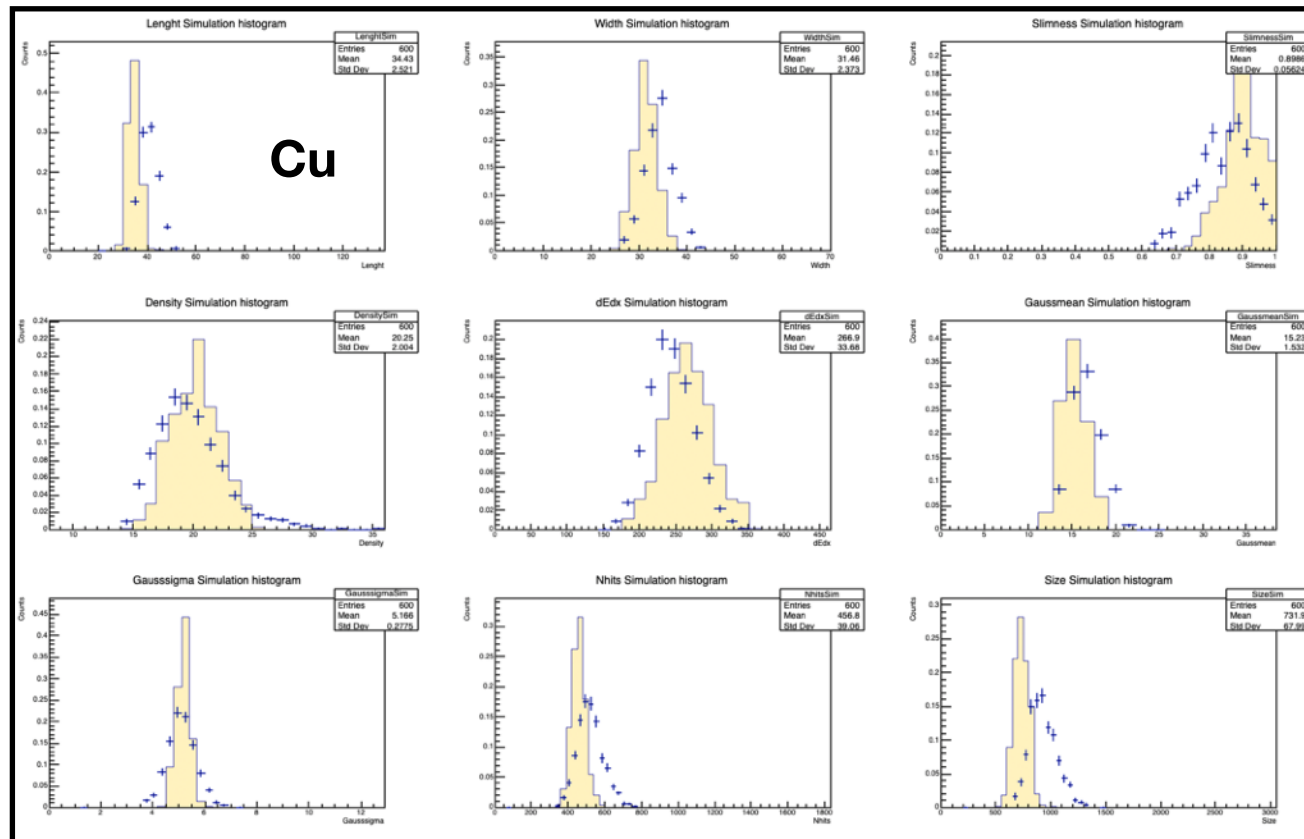
Track shape variables comparison



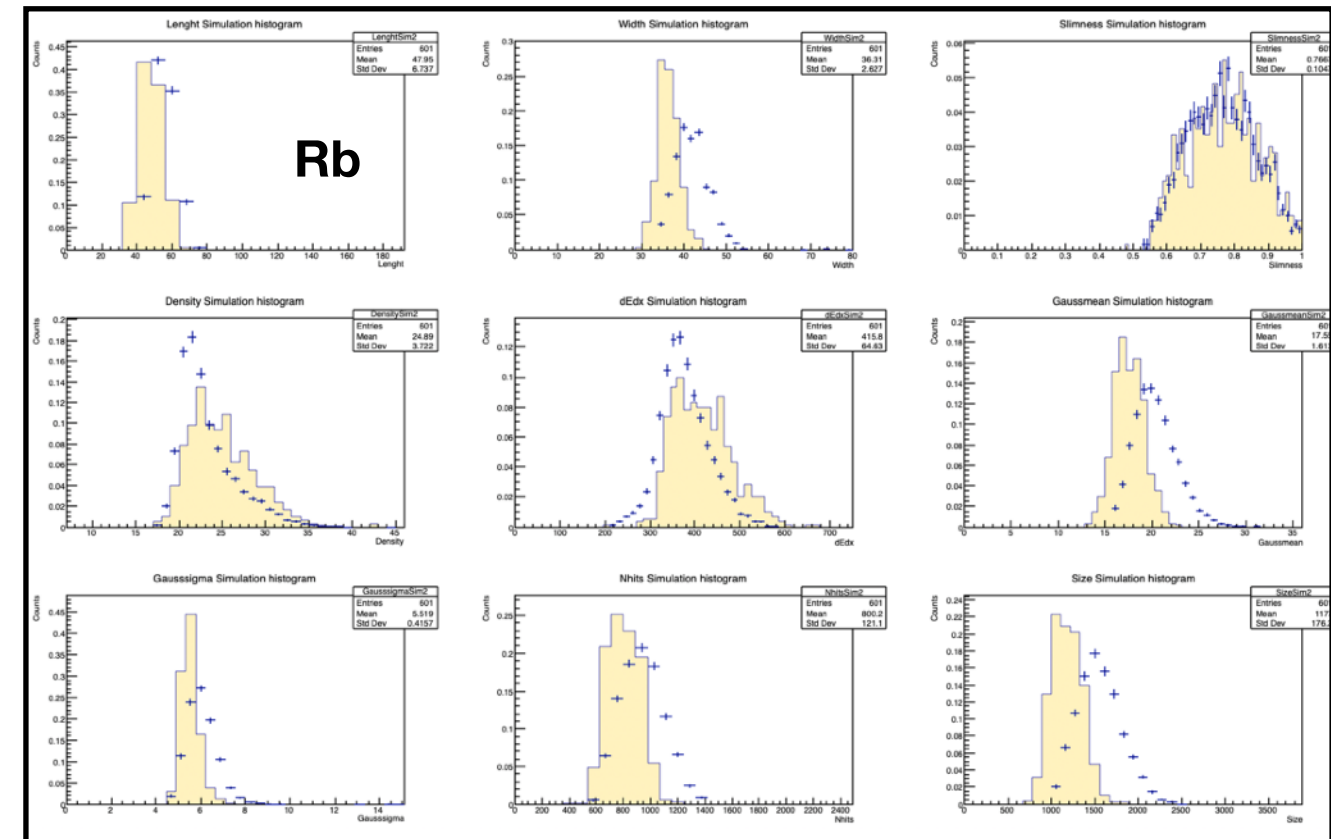
Simulation

+ Data

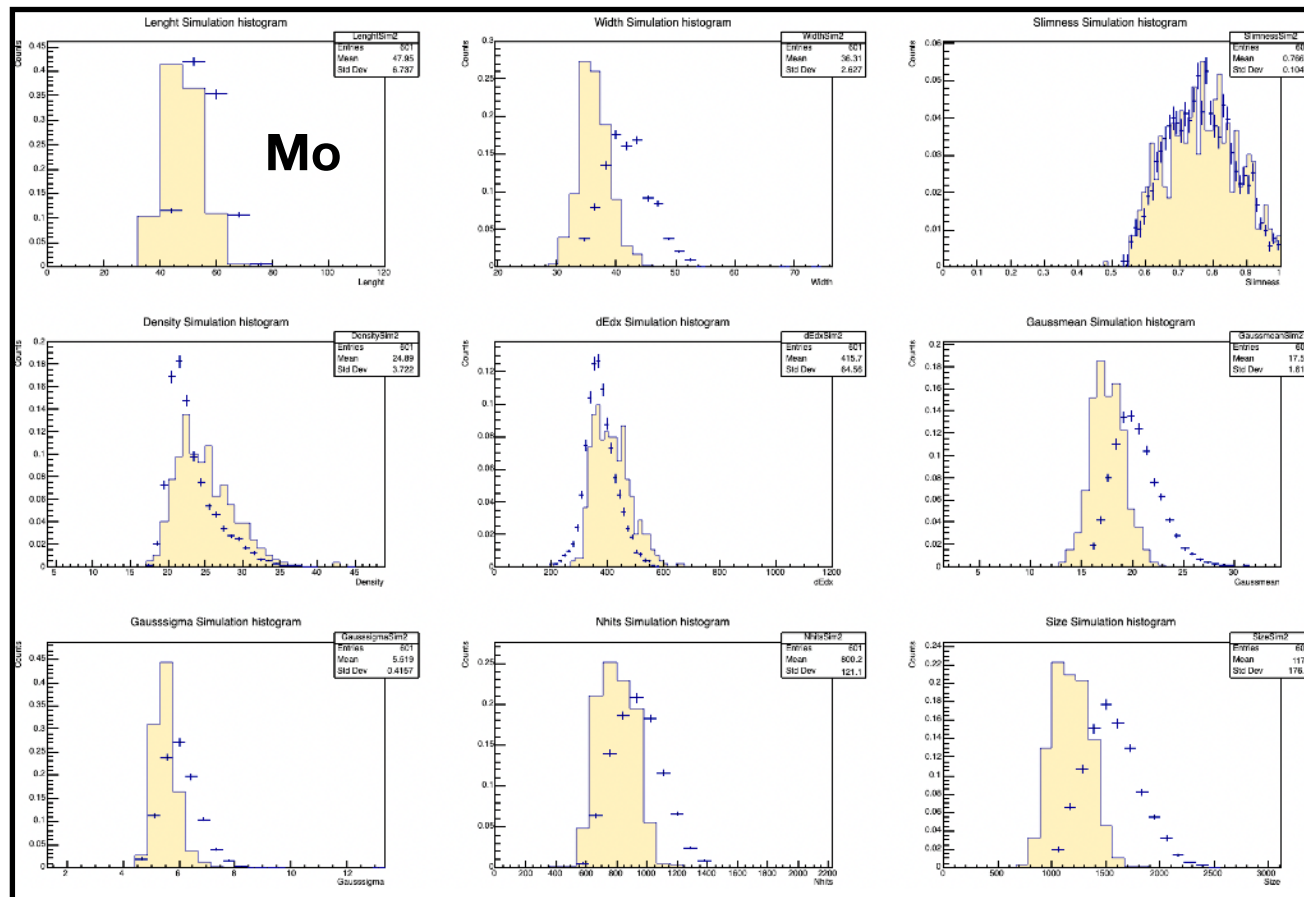
Cu



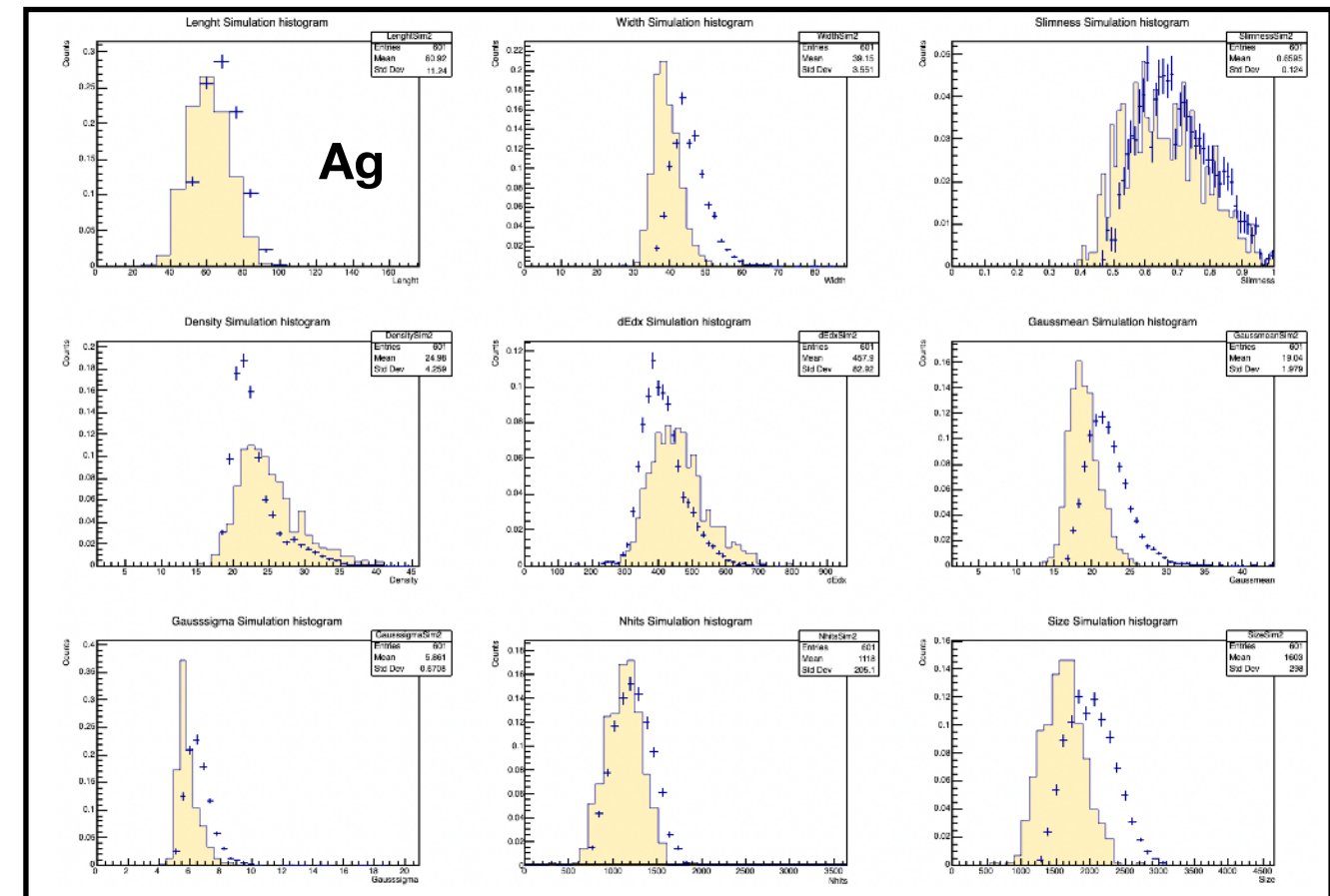
Rb



Mo



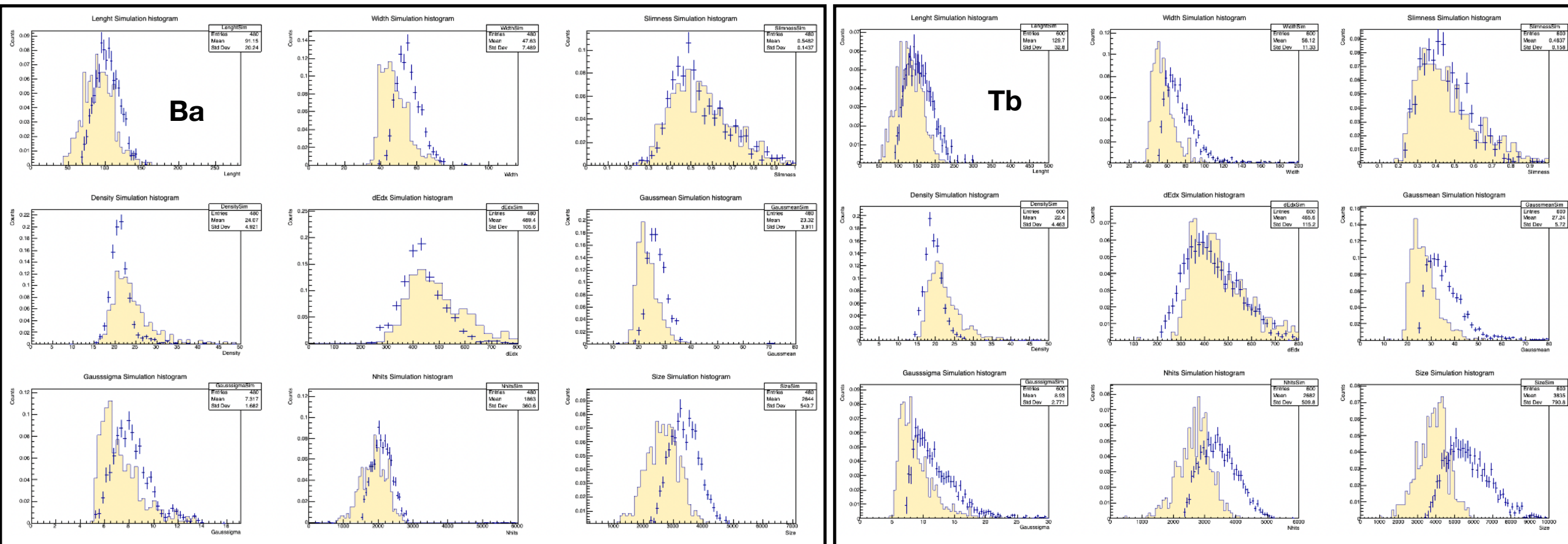
Ag



Track shape variables comparison

Simulation

+ Data



- Nice agreement in the distributions, some fine tuning of the parameters needed

Bkg crosscheck

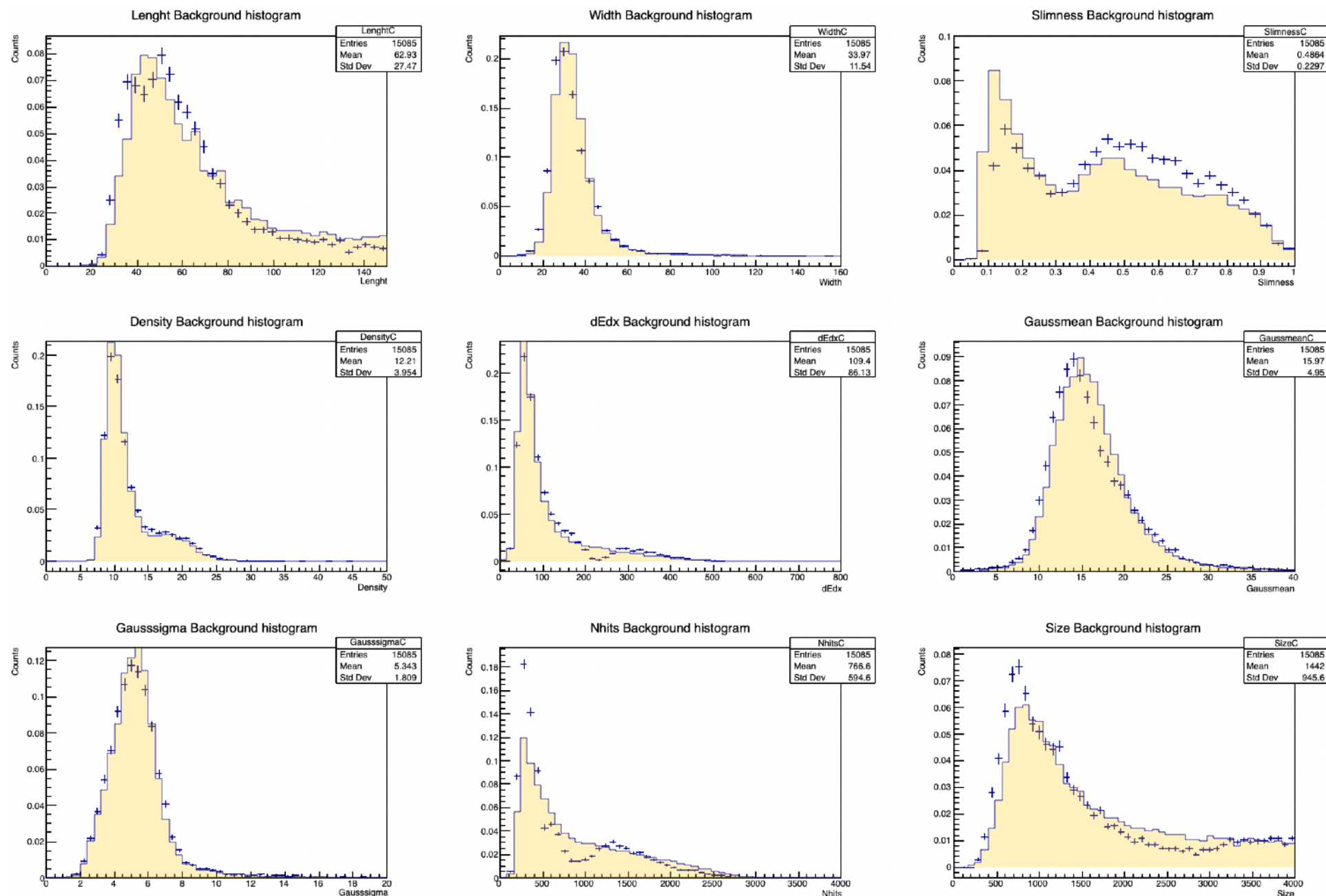
- As a crosscheck the pure bkg distribution have been compared with no source run



Cosmic run

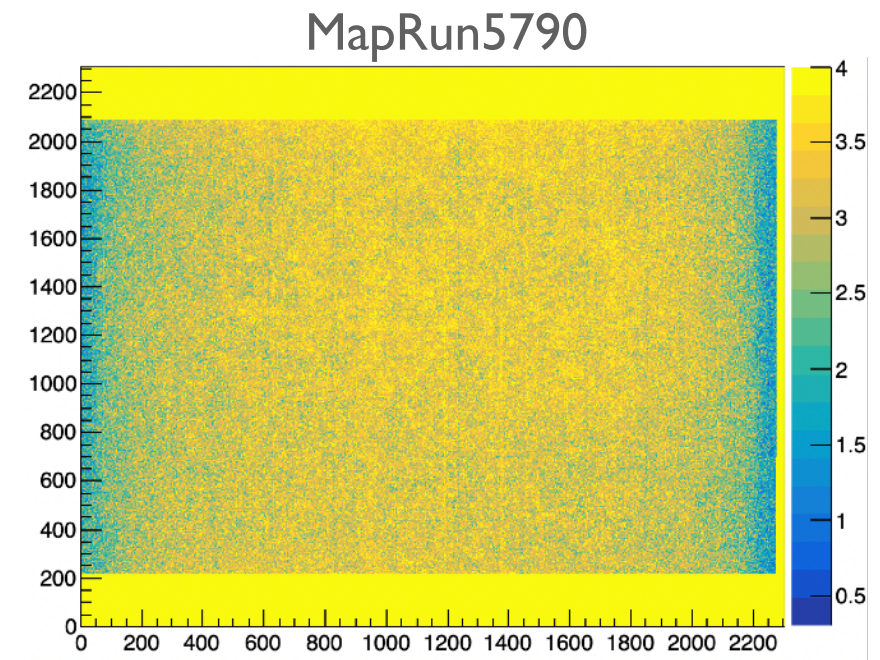
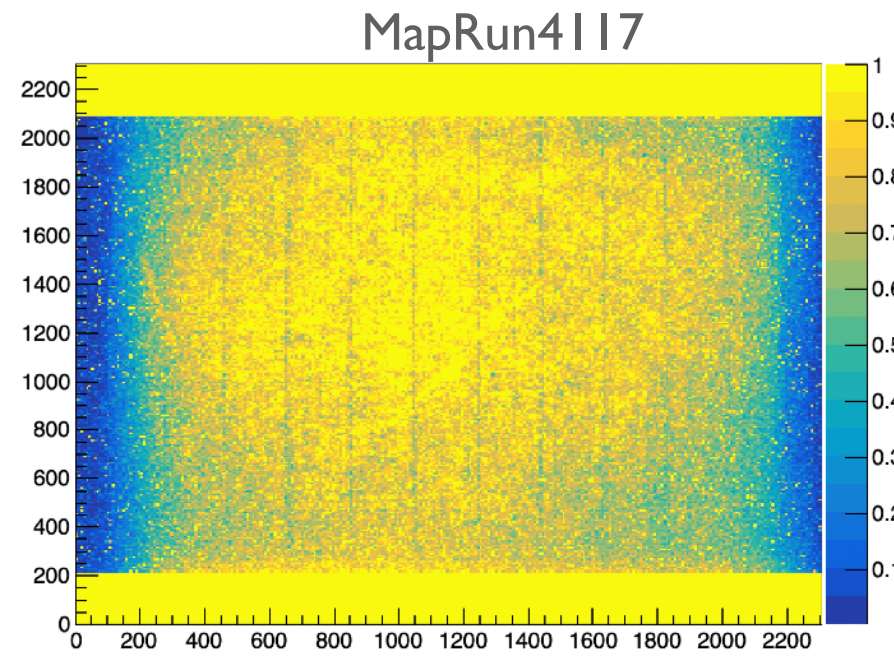


Pure bkg extracted distrib.

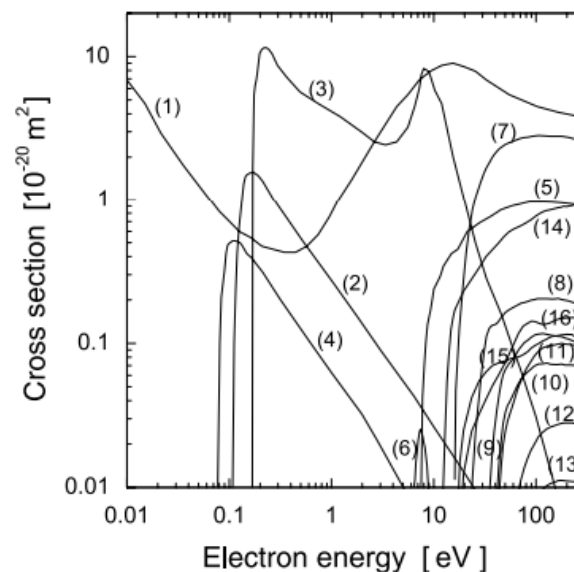


Open questions (also for the paper)

- Would it be better to use the map from run 5791-5800?
Taken just before the X-Ray
- Track shape variables could change
- We could test it



- Any reference from $\lambda_{absorption}$?



Attachment cross section is (6)

Should be negligible at our e energy ~ 0.1 eV

$$\text{From } \sigma_T^2 = \frac{2k_B T}{eE}$$

https://www.researchgate.net/publication/230902873_Monte_Carlo_studies_of_electron_transport_in_crossed_electric_and_magnetic_fields_in_CF4

See also : <https://arxiv.org/pdf/2007.00608.pdf>

$$\lambda_{att} = \frac{1}{\sigma_{att} \rho_{mol}}$$

- Does the energy resolution explanation convince you?

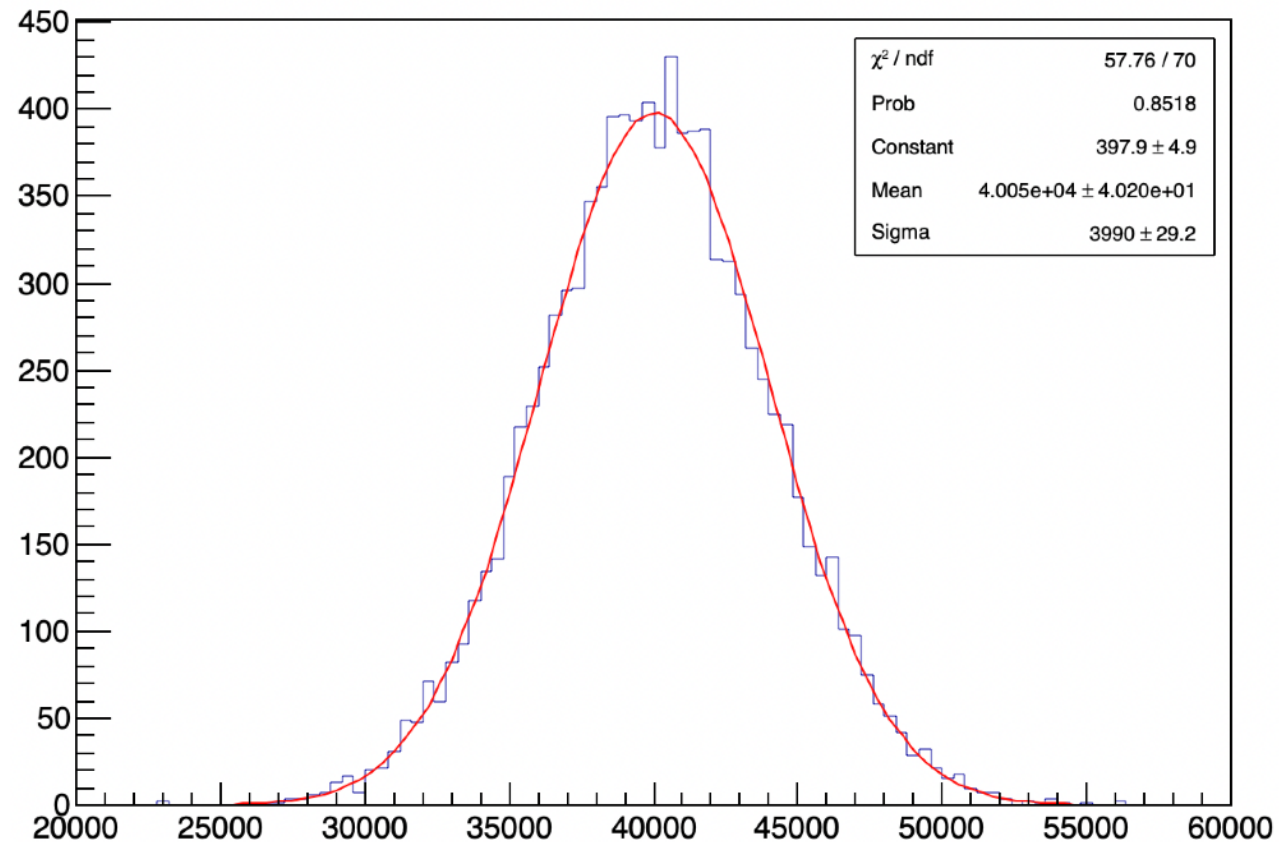
$$\rho_{mol} \sim 2.5 \cdot 10^{19} \text{ cm}^{-3}$$

$$\sigma_{att} = 10^{-19} @ 5 \text{ eV}$$

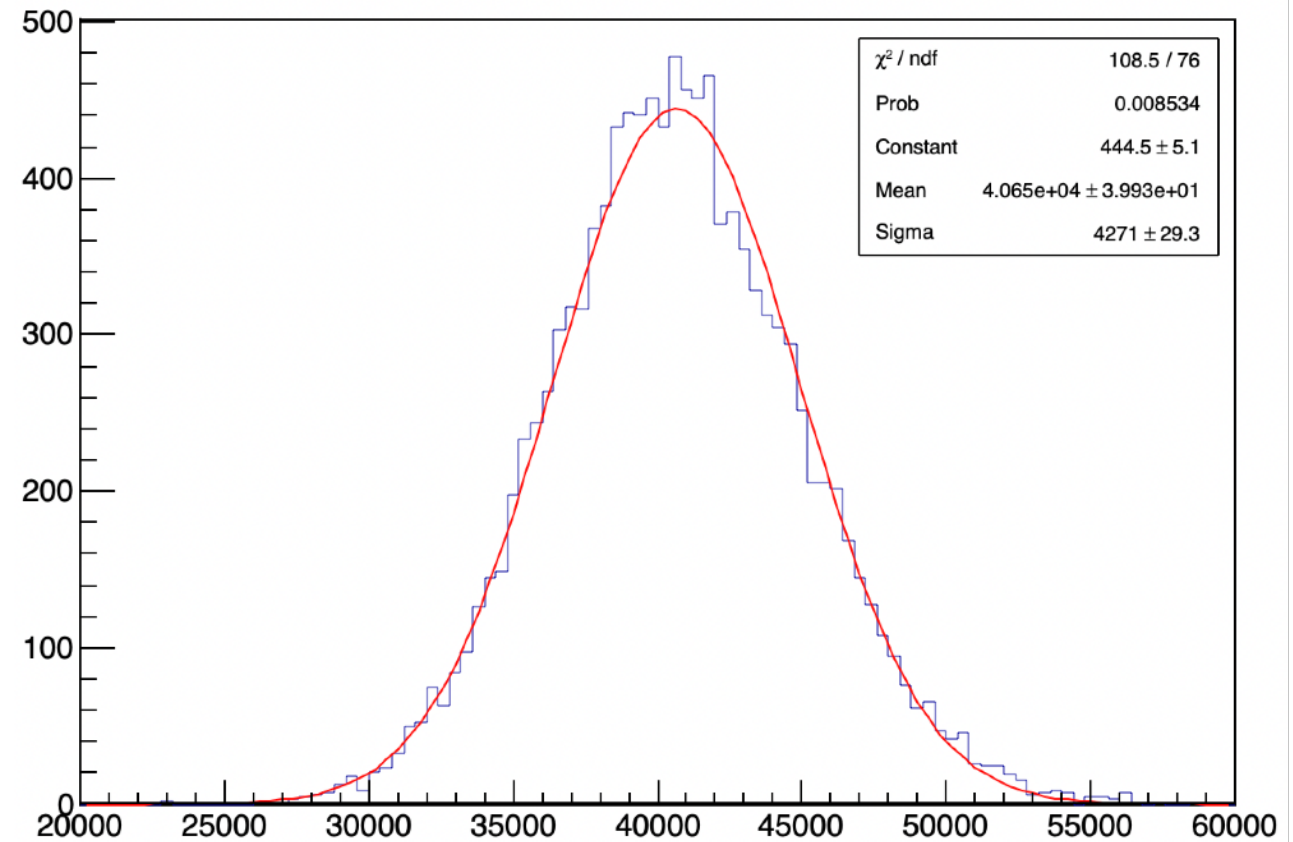
Backup slides

Only 1 gaussian?

Only kalpha



kalpha+kbeta

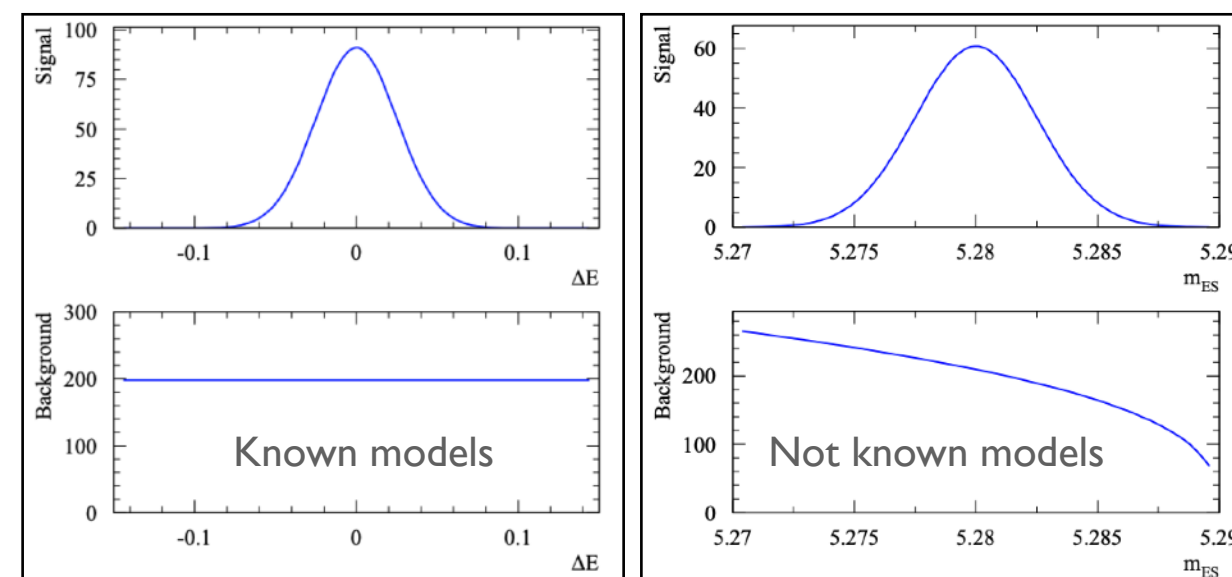


Difference of 0.5% in energy resolution not even appreciable in data

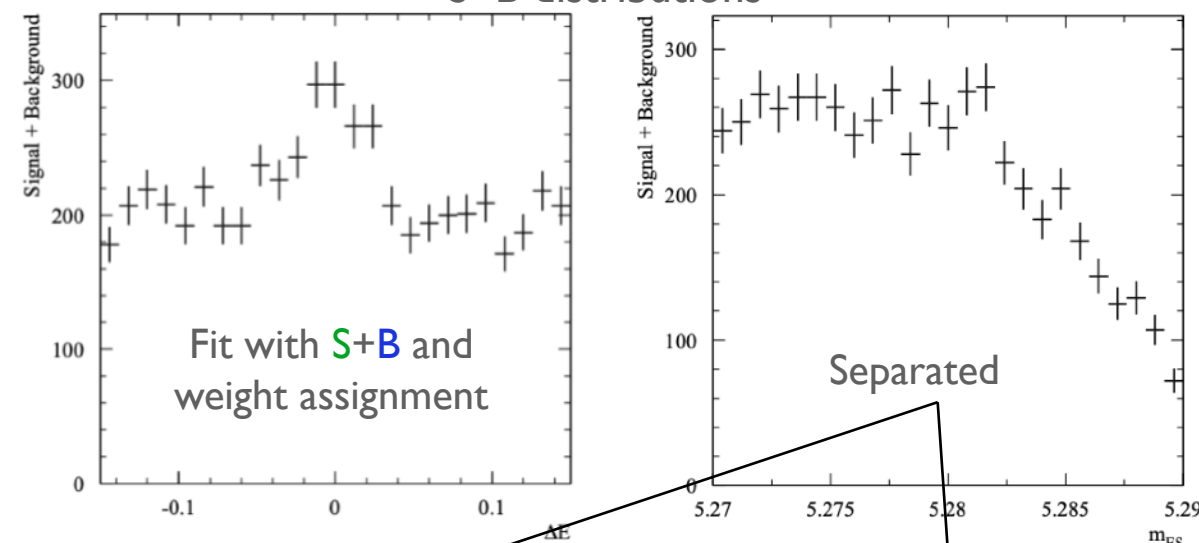
sPlots: a statistical tool to unfold data distributions

- Dataset containing two variables (consisting of signal **S** and background **B**)
- By fitting one distribution (with **S** + **B** model)
 ↓
S weight and **B** weight assigned to each event proportional to probability of being **S** and **B**
- The pure **S** and pure **B** distribution can be unfolded by weighting each event by the weight of being **S** and **B**
- Since the weight can be positive or negative plotting the pure signal distribution the negative weight cancels the background part

Theoretical distributions



S+B distributions



S-weightd distribution

