

# Compton polarimetry at PV experiments

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A4 Collaboration  
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# Outline

- 1 Introduction
- 2 Compton backscattering polarimetry
- 3 Design concepts
- 4 Operating challenges
- 5 Conclusion

# Why polarimetry?

## PV experimental method:

- scattering experiments with polarized beams
- measure **count-rate asymmetry** to access **cross-section asymmetry** ( $\Leftarrow$  contains the physics)

## However:

$$A_{rate} = P_e A_{c.s.}$$

$\Rightarrow$  absolute polarimetry needed

# Why polarimetry?

## PV experimental method:

- scattering experiments with polarized beams
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## However:

$$A_{rate} = P_e A_{c.s.}$$

$\Rightarrow$  absolute polarimetry needed

- beam polarimetry still (the) major error contribution:

Experiment	stat. err.	total syst.	polarimetry
A4 (2008)	4.8%	5.2%	4.0%
HAPPEX III	2.5%	1.5%	1.0%
G0 ( $H_2$ , high $Q^2$ )	5.2%	1.7%	1.0%

# Methods of beam polarimetry

three established methods: Mott, Møller, Compton

# Methods of beam polarimetry

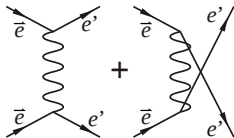
three established methods: **Mott**, Møller, Compton

Low energy only!

# Methods of beam polarimetry

three established methods: Mott, **Møller**, Compton

- spin-1/2 on spin-1/2
- target: magnetized foil
- long. or trans. polarized target
- c.s. asymmetry upon helicity reversal



## Advantages

- high luminosity (fast)
- absolute polarimetry
- transv. and long. polarimetry
- relatively compact

## Disadvantages

- low current only \*
- destructive measurement \*
- target polarization meas. challenging

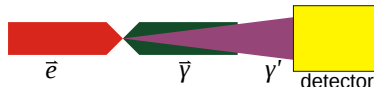
\* improvement in progress, see talk by E. Chudakov

⇒ see talk by S. Glamazdin for this subject

# Methods of beam polarimetry

three established methods: Mott, Møller, **Compton**

- photons on spin-1/2
- target: circ.-polarized photons
- c.s. asymmetry upon helicity reversal



## Advantages

- absolute polarimetry
- transv. and long. polarimetry
- high current
- non-destructive

## Disadvantages

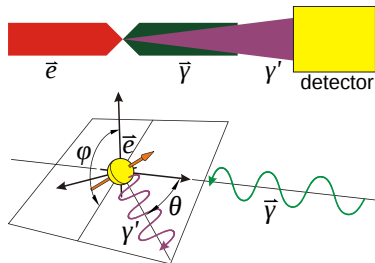
- complex to build and operate
- low luminosity (slow)

⇒ continuous monitoring at nominal beam conditions possible!



# Compton backscattering polarimetry

- based on Compton scattering
- detect final state photon
- relativistic electrons
  - ⇒ f.s. photons: high-energy  $\gamma$ 's
  - ⇒ accessible with standard radiation detection methods



## Compton cross-section

$$\frac{d\sigma(\theta, \phi)}{d\Omega} = \frac{d\sigma_0(\theta)}{d\Omega} + Q \frac{d\sigma_1(\theta)}{d\Omega} - V P_e^{long} \frac{d\sigma_2^{long}(\theta)}{d\Omega} - V P_e^{trans} \cos \phi \frac{d\sigma_2^{trans}(\theta)}{d\Omega}$$

with  $Q, V$  : “Stokes parameters” (light polarization)

- $Q = \pm 1, V = 0$  : linearly polarized light
- $Q = 0, V = \pm 1$  : circularly polarized light

## Compton cross-section

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## Compton cross-section

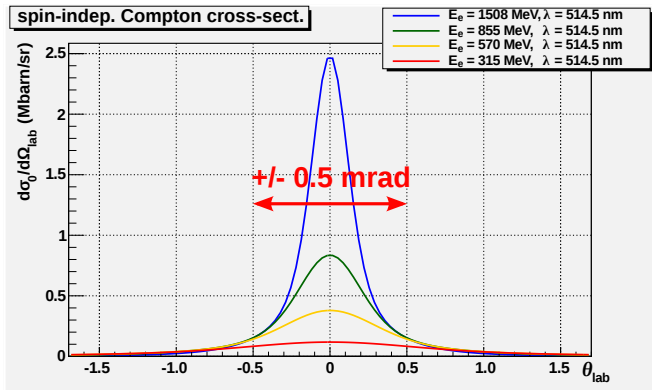
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- use purely circular light

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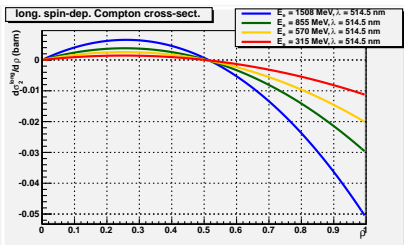
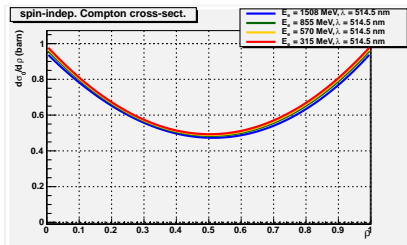
- use purely circular light
- consider directional characteristics:



⇒ calorimetric detectors are  $\phi$ -averaging

## Effective Compton cross-section

$$\frac{d\sigma(\theta)}{d\Omega} = \frac{d\sigma_0(\theta)}{d\Omega} - VP_e^{long} \frac{d\sigma_2^{long}(\theta)}{d\Omega}$$



(as a function of backscattered photon energy)

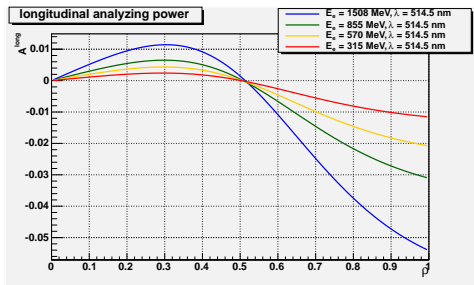
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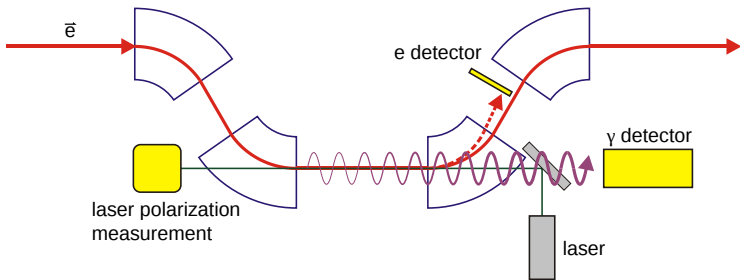
- switch between left- and right-circular light ( $V = \pm P_\gamma$ ):

$$A_{Compton}^{long} = -P_\gamma P_e^{long} \frac{\left(\frac{d\sigma_2^{long}}{d\Omega}\right)}{\left(\frac{d\sigma_0}{d\Omega}\right)}$$

⇒ access to  $P_e$



# Building blocks of a polarimeter



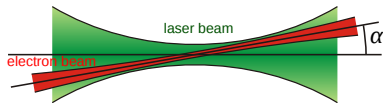
- chicane
- photon source (=laser system)
- detector for backscattered photons
- electron detector
- laser polarization measurement

# The laser system (or: pushing luminosity to the feasibility threshold)

Luminosity (“interaction density”)

$$\mathcal{L} = c(1 + \cos \alpha) \int d^3r \rho_1(\vec{r}) \rho_2(\vec{r})$$

- measurement time  $\propto 1/\mathcal{L} \Rightarrow$  increase  $\mathcal{L}$
- $\mathcal{L}$  depends on: intensities, crossing angle, focusing



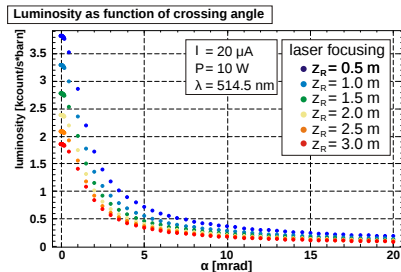
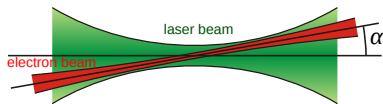


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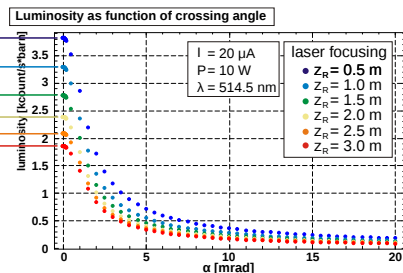
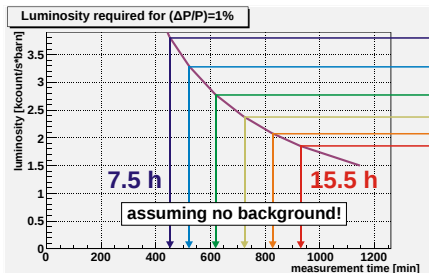
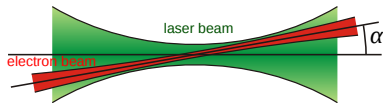
$\Rightarrow$  antiparallel geometry

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$\Rightarrow$  more laser power!

$\Rightarrow$  antiparallel geometry

# Ways to increase the laser intensity

## 1. External Fabry-Pérot cavity

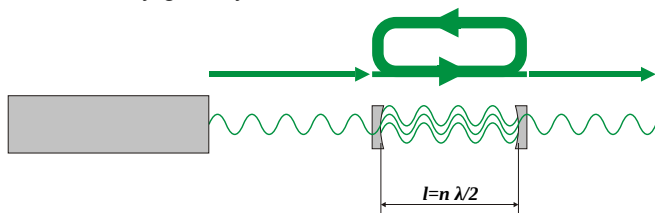
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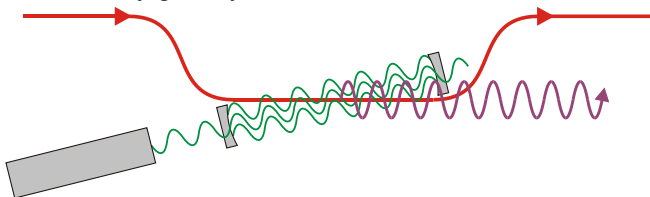
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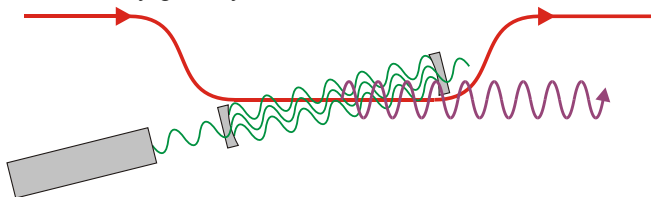
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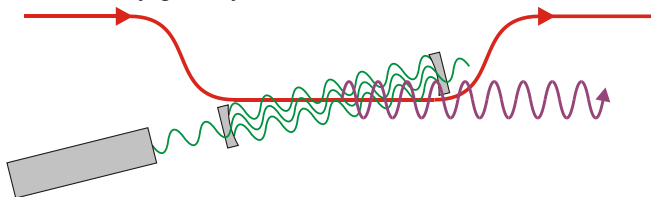


$G \cdot \Delta\omega = \text{const.} \Rightarrow$  longitudinal stabilization necessary

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### JLab Hall A: high-gain cavity

- ultra-low-absorption mirrors
- old: IR laser,  $G=7500$ , 1.7 kW
- new: green,  $G=5000$ , 5 kW\*

### JLab Hall C: low-gain cavity

- (stronger) green laser
- $G=100$ ,  $P=1000$  W\*

\* preliminary

# Ways to increase the laser intensity

## 2. Internal cavity

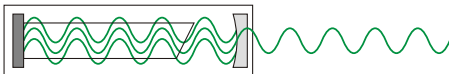




# Ways to increase the laser intensity

## 2. Internal cavity

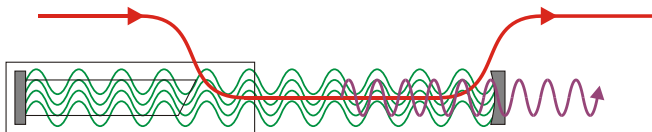
- lasers already comprise Fabry-Pérot cavity
- output only small fraction of internal recirculating power



# Ways to increase the laser intensity

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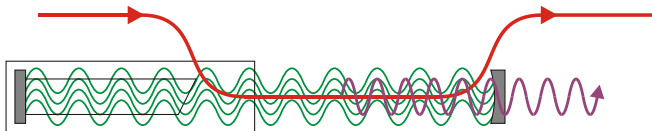
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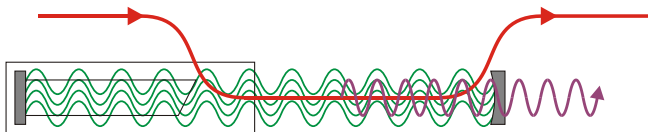


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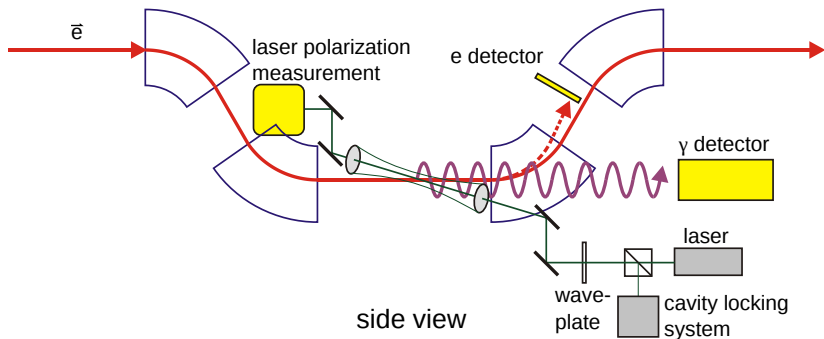


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### A4 @ MAMI

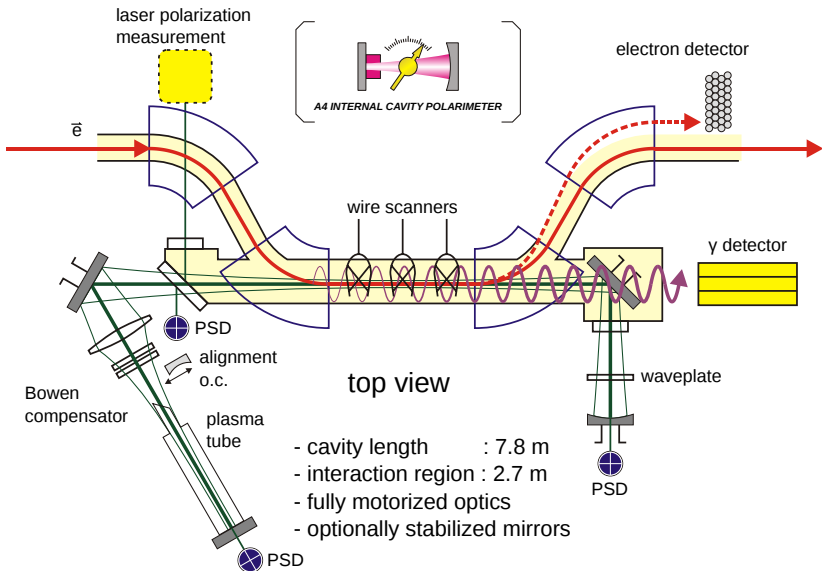
- green laser
- std. research-grade optics
- power: 120 W

# Polarimeter design: JLab Hall A,C

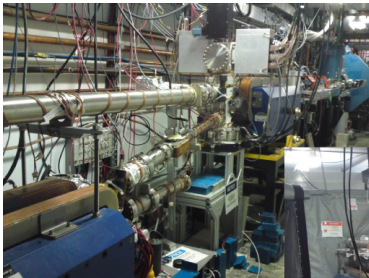


- both polarimeters use the same layout
- vertical chicane, beams crossing in horizontal plane (20 mrad)
- cavity length : 0.85 m

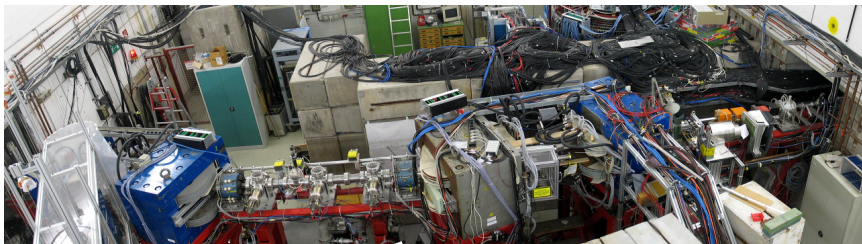
# Polarimeter design: A4 @ MAMI



# Impressions



(picture courtesy A. Narayan)

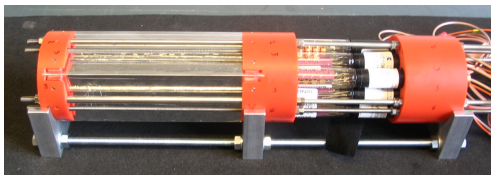


# The photon detector

- usually a calorimeter

	JLab Hall A*	JLab Hall C	A4 @ MAMI
segmentation	1x1 (11 $X_0$ )	2x2 (25 $X_0$ )	3x3 (16 $X_0$ )
material	GSO(Ce)	PbWO <sub>4</sub>	LYSO(Ce)
density (g/cm <sup>3</sup> )	6.7	8.3	7.1
radiation length (cm)	1.38	0.89	1.22
pulse decay time (ns)	30 - 60	10 / 30	41
light yield (% NaI(Tl))	20	0.3 / 0.08	75

\* see talk by M. Friend

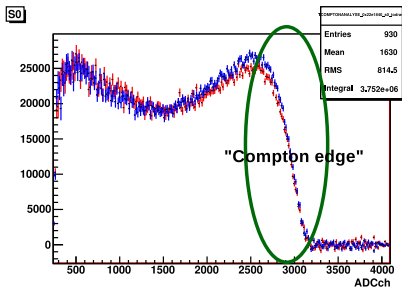


- A4: two types of PMTs, different gain for different beam energies



# Asymmetry extraction

- simple photon counting
- weighted photon counting (e. g. energy-weighting\*)
- binwise asymmetry from spectra



- not too different from statistics p.o.v.
- influence of systematics changes dramatically

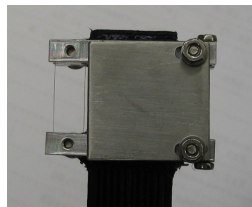
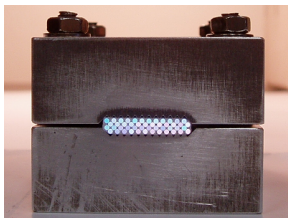
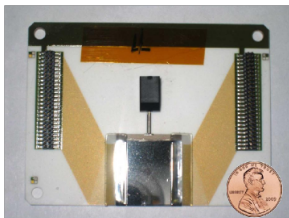
\* see talk by M. Friend

# The electron detector

- a segmented position-sensitive device
- turn chicane into spectrometer

	JLab Hall A	JLab Hall C*	A4 @ MAMI
type	Si microstrip	diamond microstrip	SciFi array
channels	4 x 192	4 x 96	2 x 24
pitch	240 $\mu\text{m}$	200 $\mu\text{m}$	600 $\mu\text{m}$

\* see talk by A. Narayan



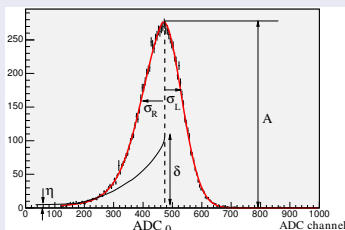
picture courtesy A. Narayan

# The electron detector

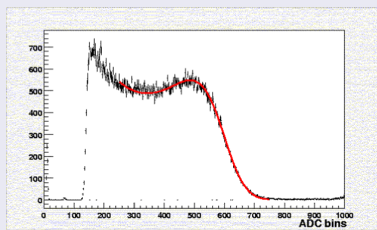
- calibration of the photon detector (segmented calorimeters!)
- suppression of uncorrelated background (halo, ...)
- **control of photon detector systematics**

## JLab Hall A (IR)

- parametrize detector response using tagged spectra
- use parametrization to extract Compton asymmetry from full spectra



S. Escoffier *et al.*, arXiv:physics/0504195v1 (courtesy D. Lhuillier)

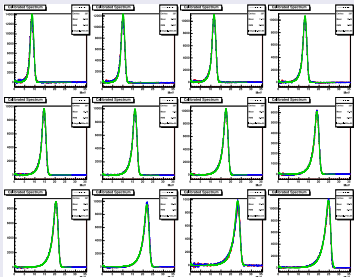


# The electron detector

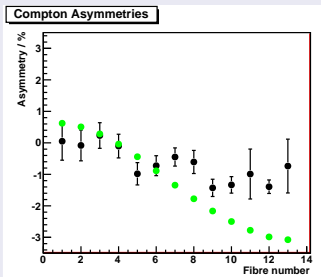
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## A4 @ MAMI

- exclusively use tagged spectra



courtesy J. Diefenbach



# The electron detector

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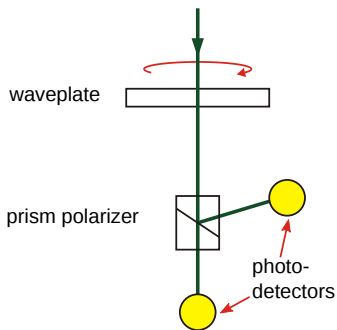
## JLab Hall C

- independently measure Compton spectrum using electron detector

see talk by A. Narayan

# Laser polarization measurement

- rotating QWP before linear polarizer
- transmitted light: intensity-modulated

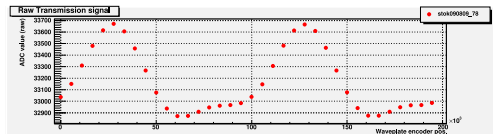


$$I(\theta) = \frac{1}{4} \{ (2I + Q) - 2V \sin 2\theta + U \sin 4\theta + Q \cos 4\theta \}$$

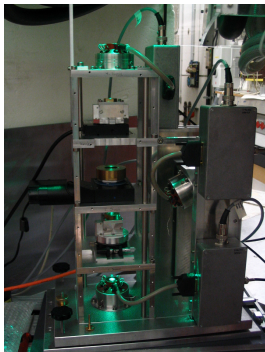
( $I$  : tot. intensity;  $Q, U$  : linear components;  $V$  : circular component)

# Laser polarization measurement

- rotating QWP before linear polarizer
- transmitted light: intensity-modulated



- well-established, accurate method
- statistics easily 0.1% rel.
- main challenge: systematics



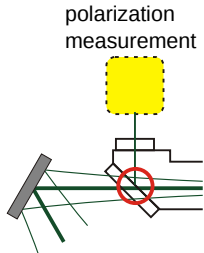
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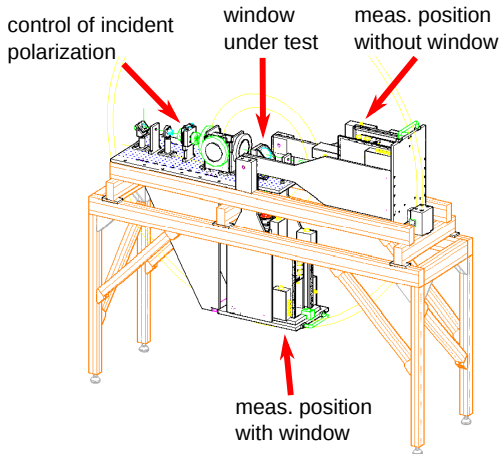
# Laser polarization measurement

- need to know polarization *inside* cavity
- can only measure *outside* cavity

e.g. A4:



⇒ measure transport matrix for every window

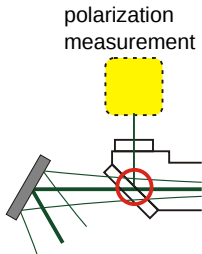




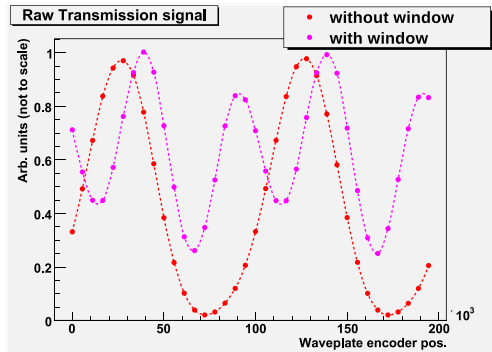
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# (Approximate) design comparison

- difficult because all built for different conditions
- approach: compare statistical FOM of designs ( $\propto 1/T$ )

$$f = \langle A_I \rangle^2 \sigma_{tot} \mathcal{L}$$

- take Hall A IR as reference

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- take Hall A IR as reference

	Hall A IR	green	FOM?	Hall C	FOM?	A4	FOM?
$\lambda$ (nm)	1064	532	x 4	532	x 4	514.5	x 4.3
$P_{Laser}$ (W)	1700	5000	x 2.9	1000	x 0.6	100	x 0.06
$\alpha$ (mrad)	20	20	x 1	20	x1	0	x 20
design	:=1		x 11.6		x 2.4		x 5.2
$E_e$ (GeV)	4.6	1	x 0.05	1.17	x 0.06	0.86	x 0.03
$I_e$ ( $\mu$ A)	40	50	x 1.25	180	x 4.5	20	x 0.5
exp. cond.	:=1		x 0.06		x 0.27		x 0.02
total	:=1		x 0.7		x 0.6		x 0.1

(caveat: some simplifications used)

# Performance

## Hall A IR @ 4.6 GeV

- 0.6 % stat. in 1 h

source	contribution
background	0.05%
dead time	0.10%
events cut	0.10%
beam pos.	0.30%
det. response	0.45%
energy calib.	0.6%
pile-up	0.45%
radiative	0.26%
laser polarization	0.60%

S. Escoffier *et al.*, NIM A 551 (2005) 563 – 574

## A4 @ 855 MeV\*

- 2 % stat. in 11 h (beam profile!)

source	contribution
lower thr.	0.20%
fibre det. geom.	0.26%
dead time	0.19%
random coinc.	0.20%
background	0.02%
energy calib.	0.12%

+ laser polarization

\* preliminary numbers!

# Performance

## Hall A IR @ 4.6 GeV

- 0.6 % stat. in 1 h
- 1.4 % syst.

## Hall A green @ 1 GeV\*

- 1.0 % stat. in 1 h
- 0.9 % syst.

see talk by M. Friend

## Hall C @ 1.17 GeV\*

- 1% stat. in 1 h
- (0.55 + x)% syst.

see talk by A. Narayan

## A4 @ 855 MeV\*

- 2 % stat. in 11 h (beam profile!)
- (0.45 + x)% syst.

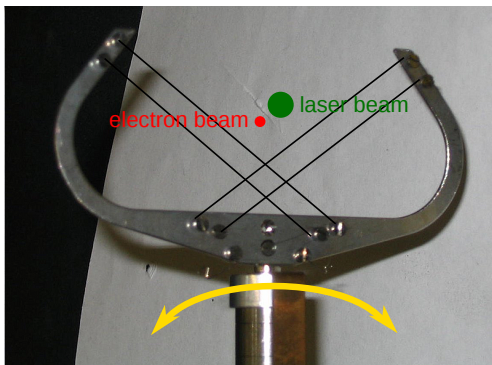
\* preliminary numbers!

# Beam overlap

- mainly an issue for A4 polarimeter

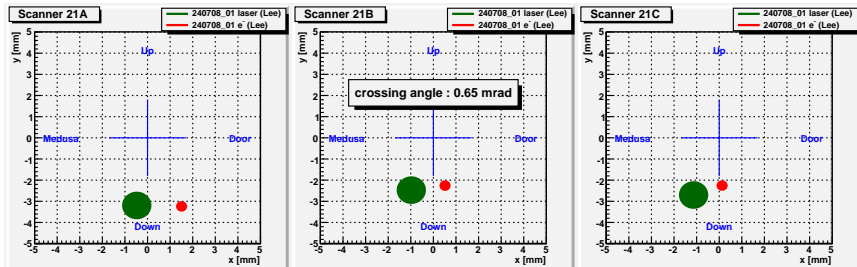
# Beam overlap

- mainly an issue for A4 polarimeter
- 3 customized wire scanners



# Beam overlap

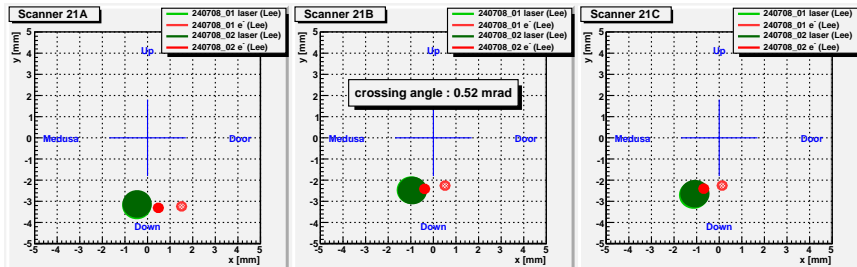
- mainly an issue for A4 polarimeter
- 3 customized wire scanners
- iterative computer-assisted overlap optimization





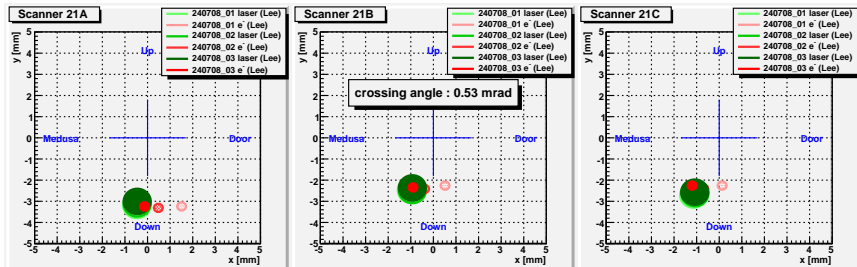
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⇒ finished in 20 min. even from scratch!

# Conclusion

- Compton polarimetry is reliable, established method
- so far, only non-invasive method for modern PV experiments
- techniques for precision polarimetry at demanding conditions exist (Hall A IR, A4)
- improvements for next generation of PV experiments underway (Hall A green upgrade, Hall C)

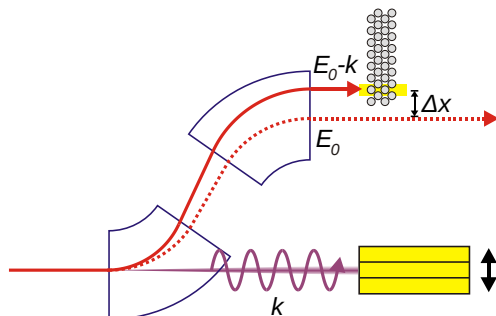
⇒ Compton polarimetry will keep its decisive role in PV for near future

- will be complemented by advanced Møller techniques soon

Thanks to: W. Deconinck, M. Friend, A. Narayan and K. Paschke for information on the JLab polarimeters!

# Photon detector calibration

- in particular for segmented calorimeters
- low-energy: radioactive sources ( $^{60}\text{Co}$ , gammas from neutron capture, LYSO intrinsic activity ...)
- high-energy: on the beam, using electron detector as tagger



center every crystal on beam  $\Rightarrow$  same spectrum for all crystals