

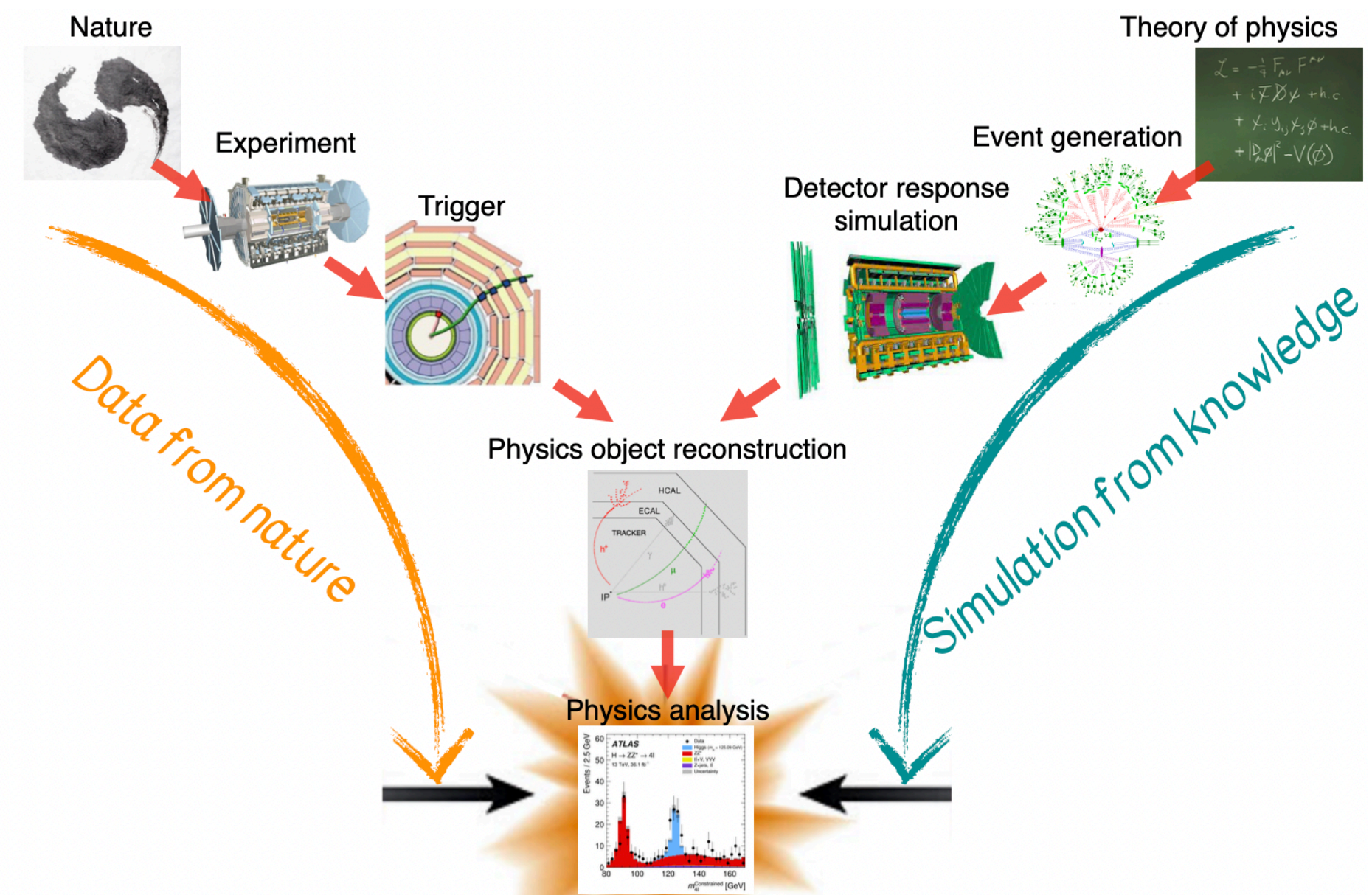
# **AI-based event classification with CMS**

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On behalf of CMS Collaboration

Boost Conference  
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# Introduction

- One of the major objectives of the experimental programs at the LHC is the discovery of new physics
- Machine Learning: “application of artificial intelligence that provides systems the ability to automatically learn and improve from experience without being explicitly programmed”
- It has become one of the most powerful techniques for High Energy Physics (HEP) data analysis
- **It greatly enhances our ability of identifying signal from background: important for discovery of new physics**



**Back to Higgs discovery era**

# H → γγ analysis (2012)

Select events with **two photons**

→ Train **Diphoton MVA** using signal and background MC

- Input variables: kinematics and (BDT-based) photon ID MVA of each photon, (BDT-based) vertex probability, etc.

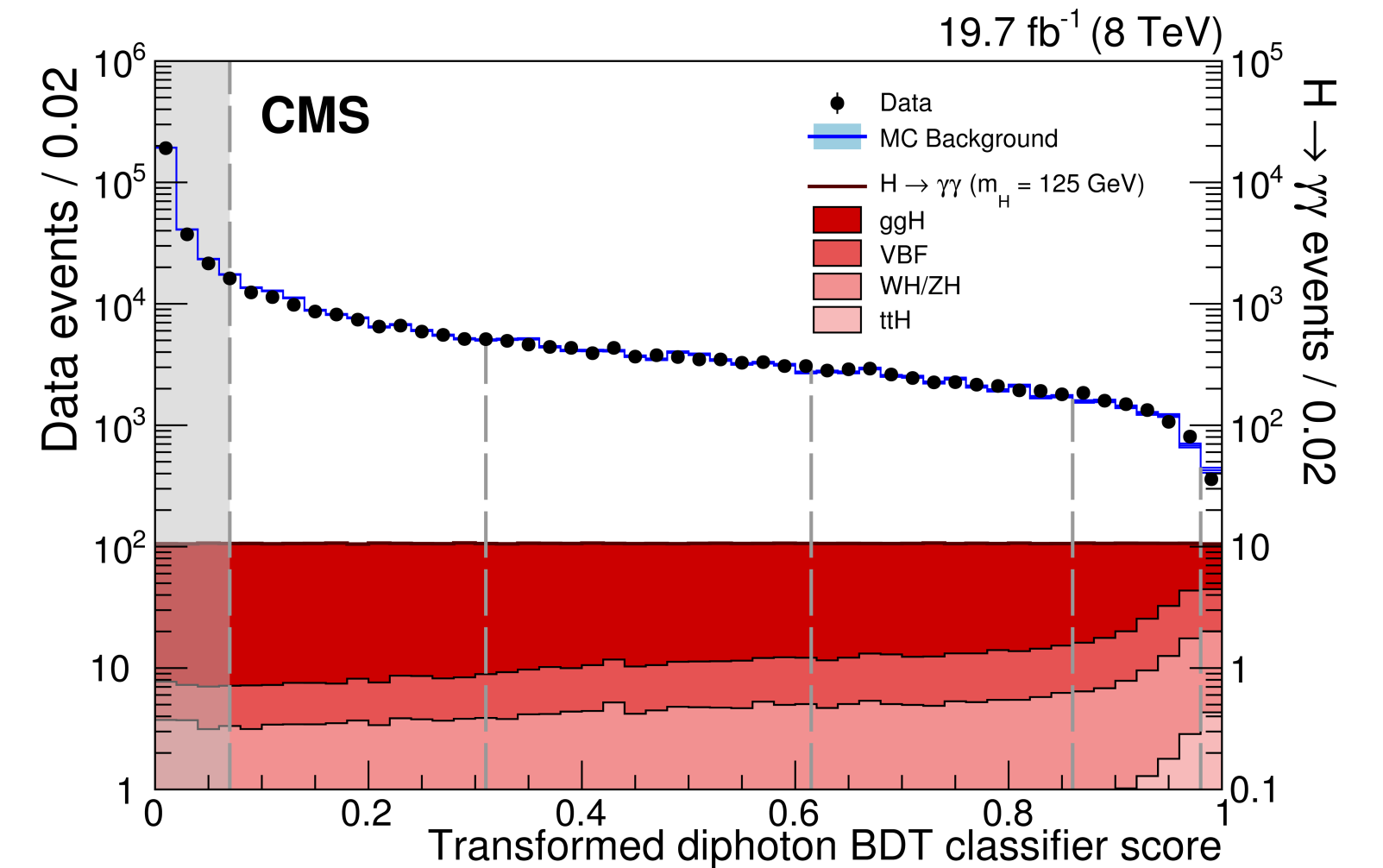
→ Separate events to **categories** based on BDT score (which is to the first order independent of diphoton mass)

→ Fit **diphoton mass** over all categories

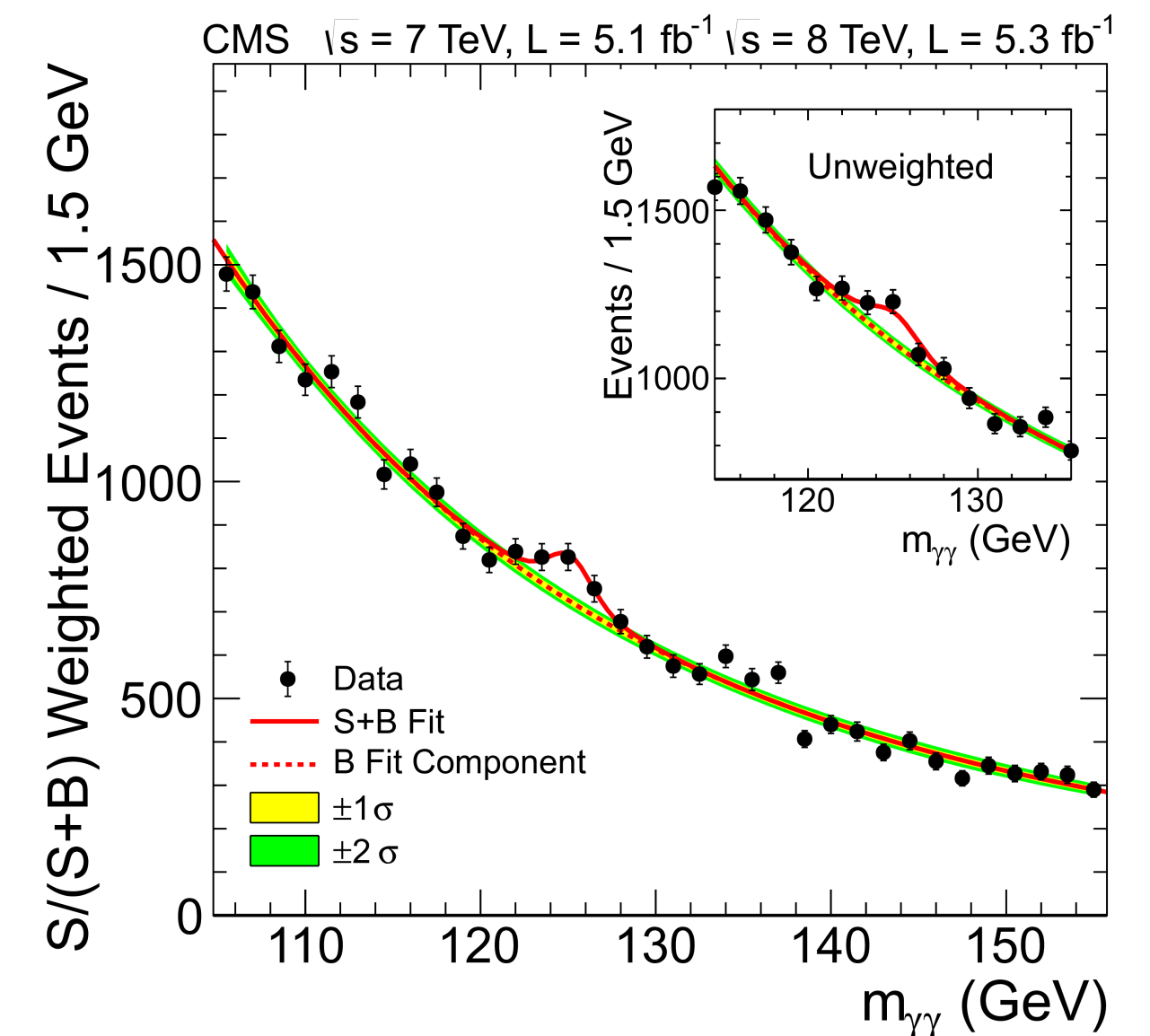
- Signature: a narrow resonance above a smooth background (QCD γγ production, etc.)

→ Measure signal strength, etc.

**Better than cut-based analysis by 15%**



[Eur. Phys. J. C 74 \(2014\) 3076](#)



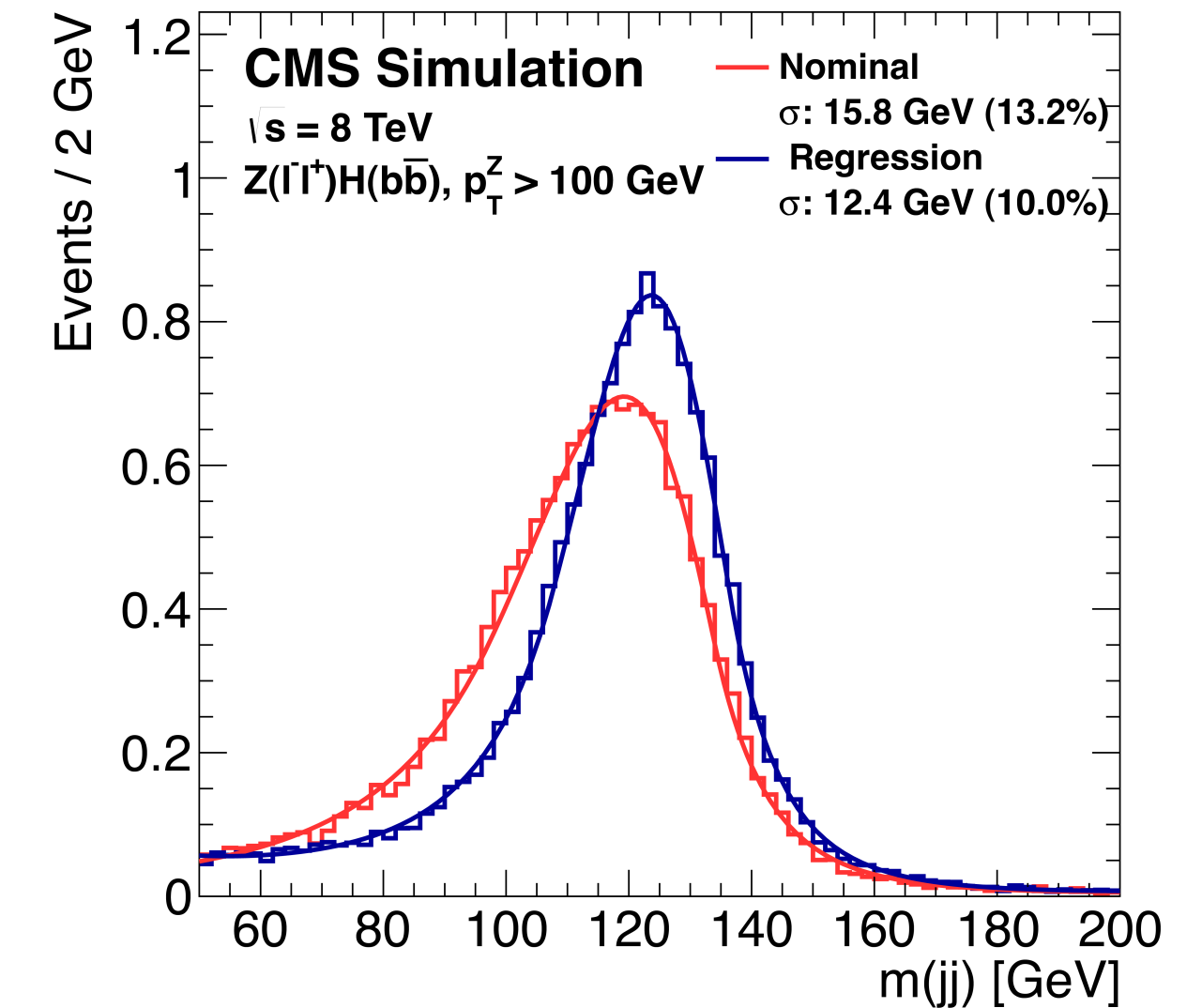
[Phys. Lett. B 716 \(2012\) 30](#)

# H → b $\bar{b}$ analysis (2012)

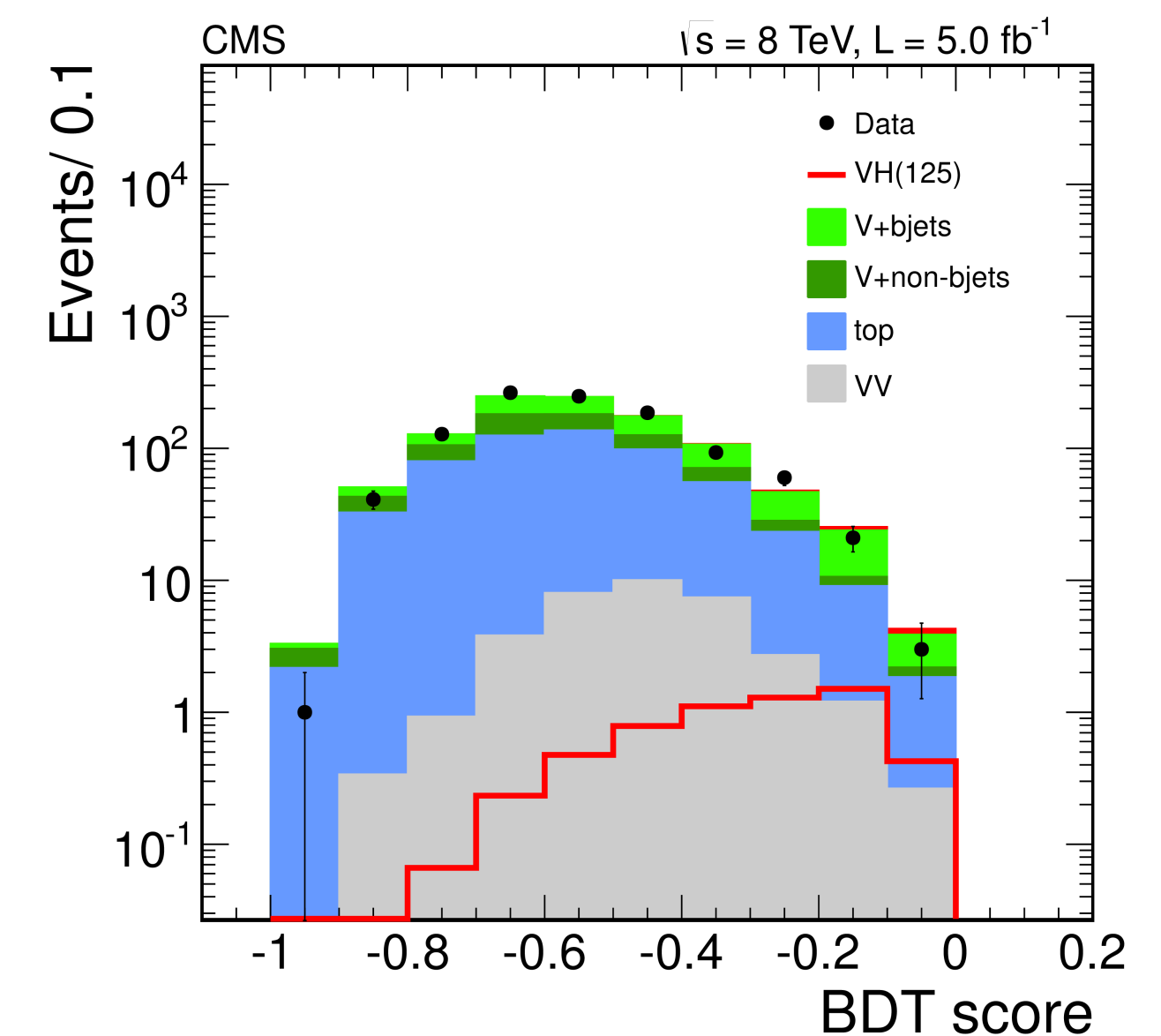
- **Large branch ratio (~58%)**
- Huge background, tackled by requiring associated particles and machine learning

## VH → Vb $\bar{b}$

- Reconstruct Higgs as two small-radius b-tagged jets
- Tag leptonically decaying W/Z boson
- Main bkg: V+heavy flavor, t $\bar{t}$
- Train BDTs using kinematics of V and H candidates (e.g. m<sub>b $\bar{b}$</sub>  reconstructed by regression)
- Fit the shape of the BDT output distribution



[Phys. Rev. D 89 \(2014\) 012003](#)

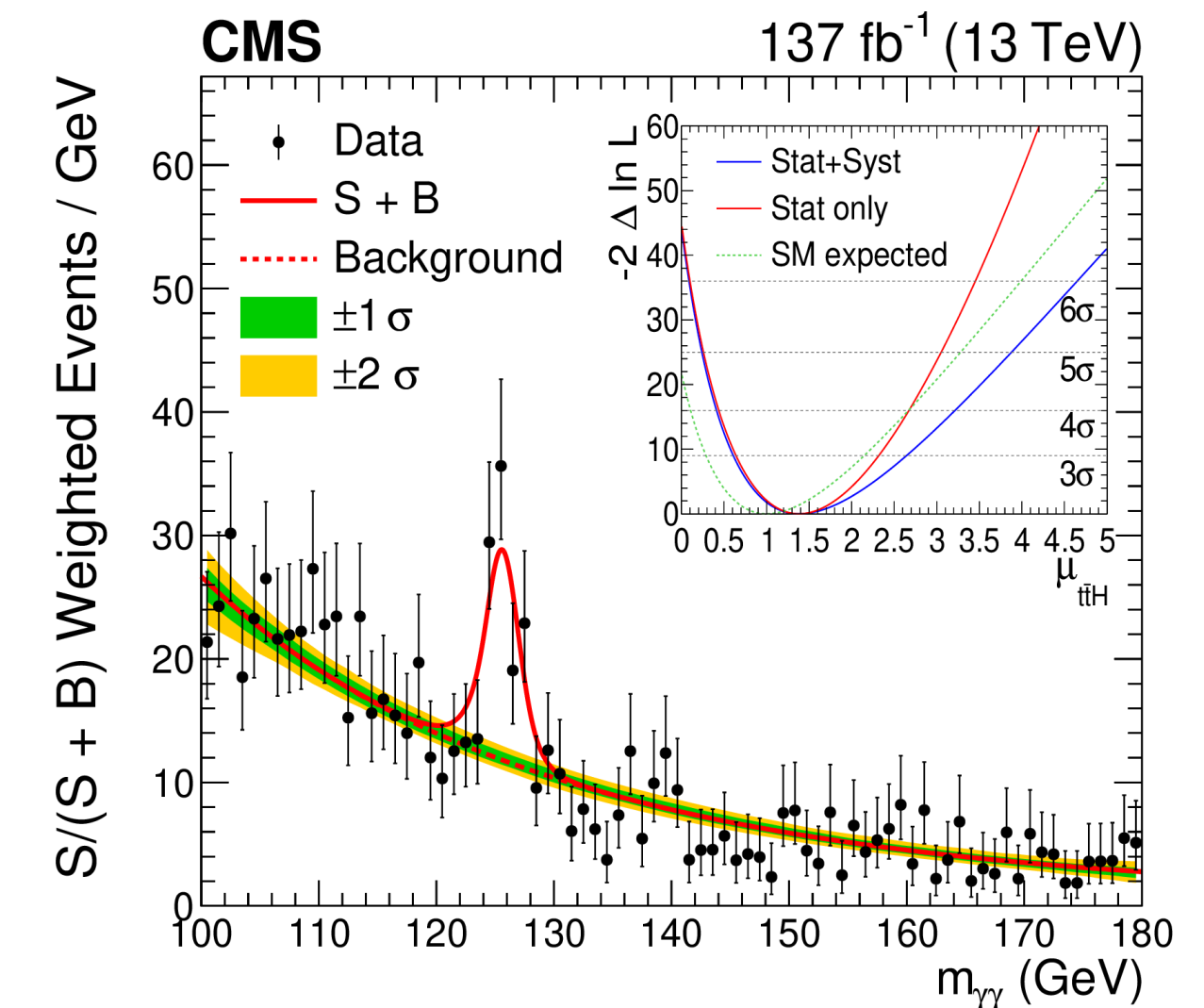
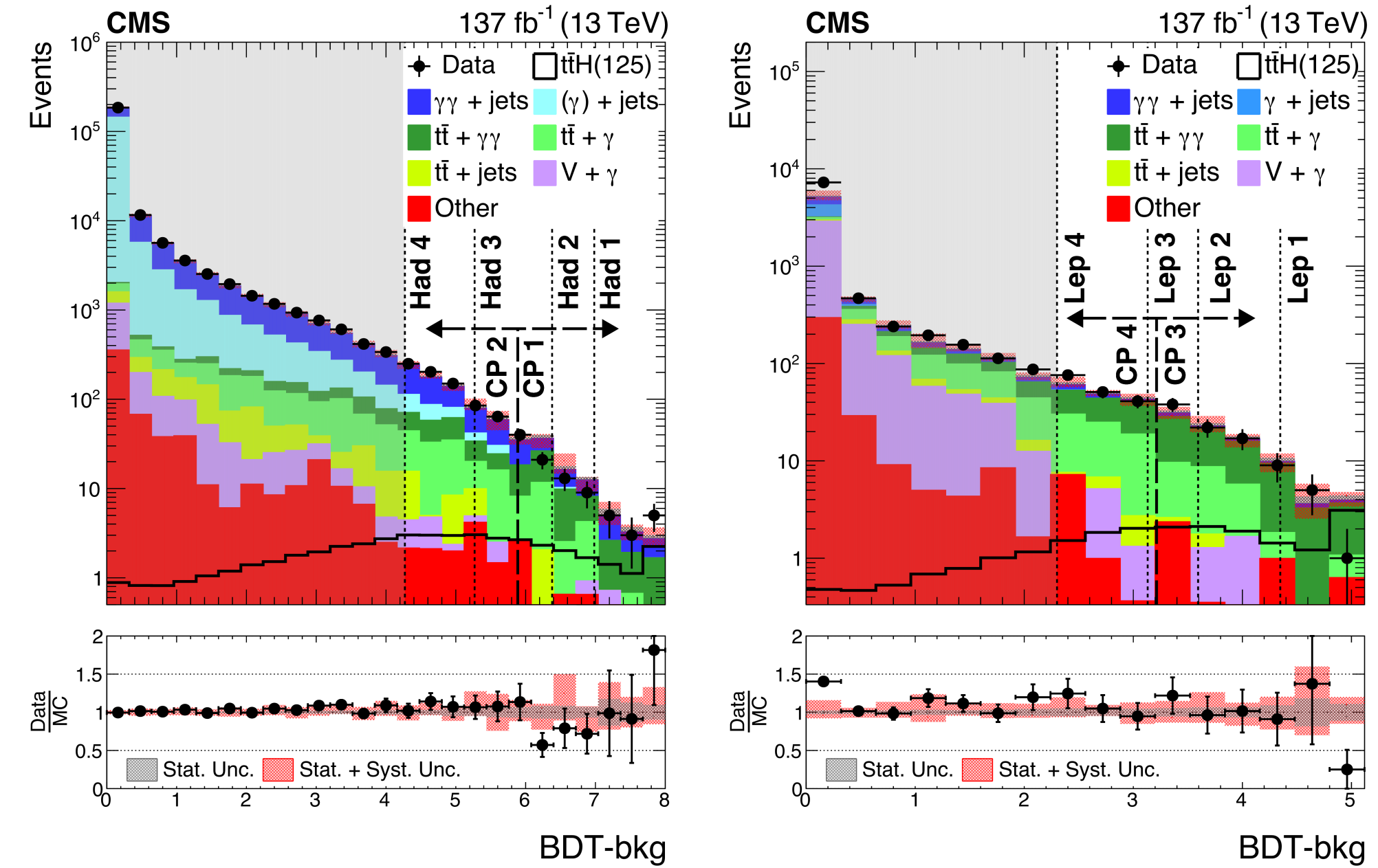


[Phys. Lett. B 716 \(2012\) 30](#)

# **AI-based event classification in Higgs measurement era**

# ttH ( $H \rightarrow \gamma\gamma$ ) analysis (2020)

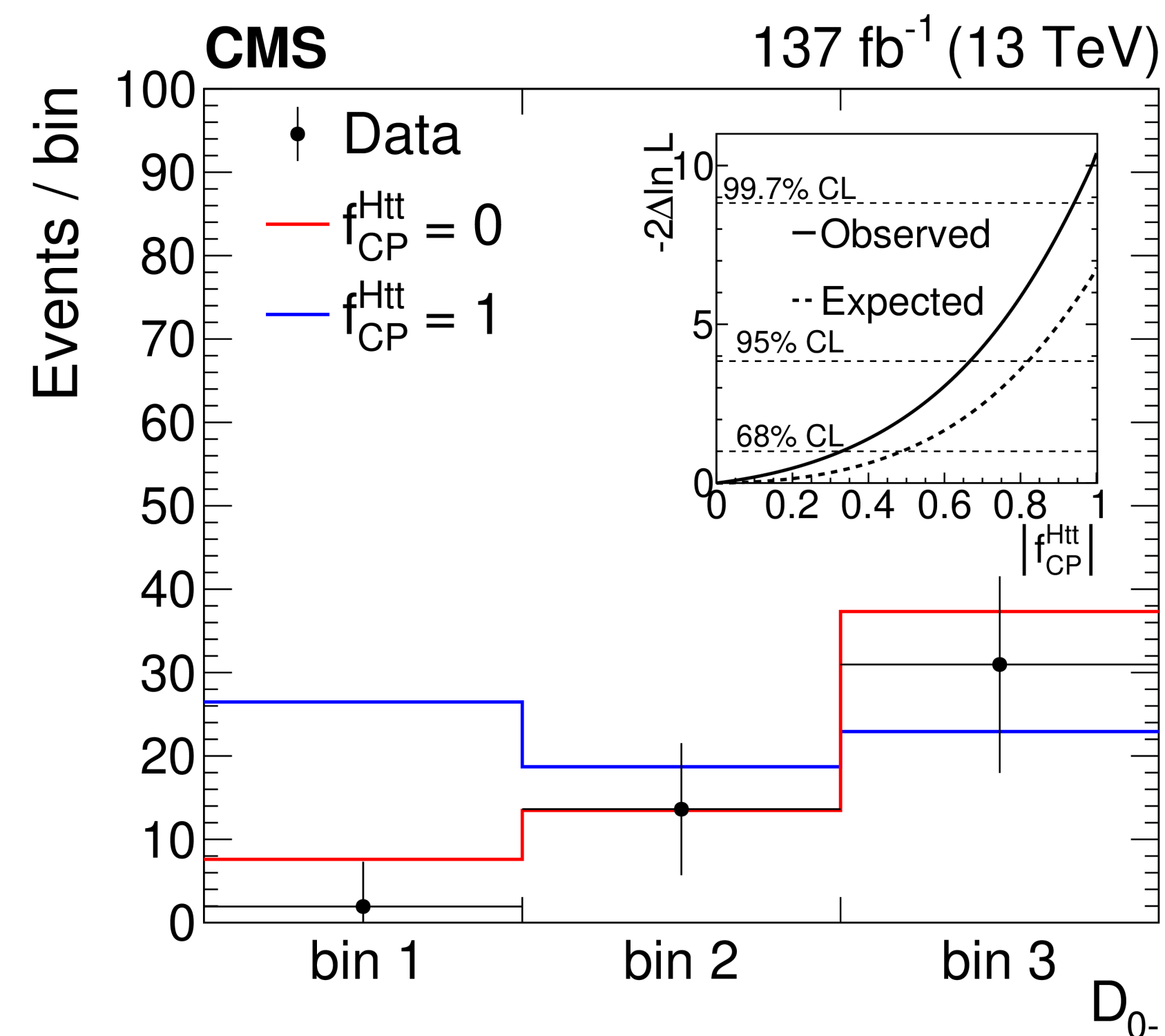
- **The signal strength analysis** trains a dedicated BDT (“BDT-bkg”) with XGBoost to distinguish between ttH and background
- Inputs include kinematic variables of photons, jets & leptons, as well as outputs of other ML algorithms:
  - top quark tagger BDT to identify events with top quarks decaying into three jets
  - long short-term memory based DNNs exploiting low-level information including full four-vectors of each jet & lepton and jet flavor scores
- **First published single-channel observation of the ttH process, with a significance of  $6.3\sigma$**



[Phys. Rev. Lett. 125, 061801 \(2020\)](#)

# ttH ( $H \rightarrow \gamma\gamma$ ) analysis (2020)

- **The CP analysis** trains a BDT to distinguish CP-even and CP-odd contributions
  - Simulation shows that BDT-CP discriminant has negligible correlation with BDT-bkg discriminant
- Events selected for the signal strength measurements are split into 12 categories, leptonic or hadronic, two BDT-bkg categories, and three BDT-CP bins
- **First measurement of the CP structure of the Htt coupling using the  $H \rightarrow \gamma\gamma$  channel, disfavor the pure CP-odd model of the Htt coupling at  $3.2\sigma$**

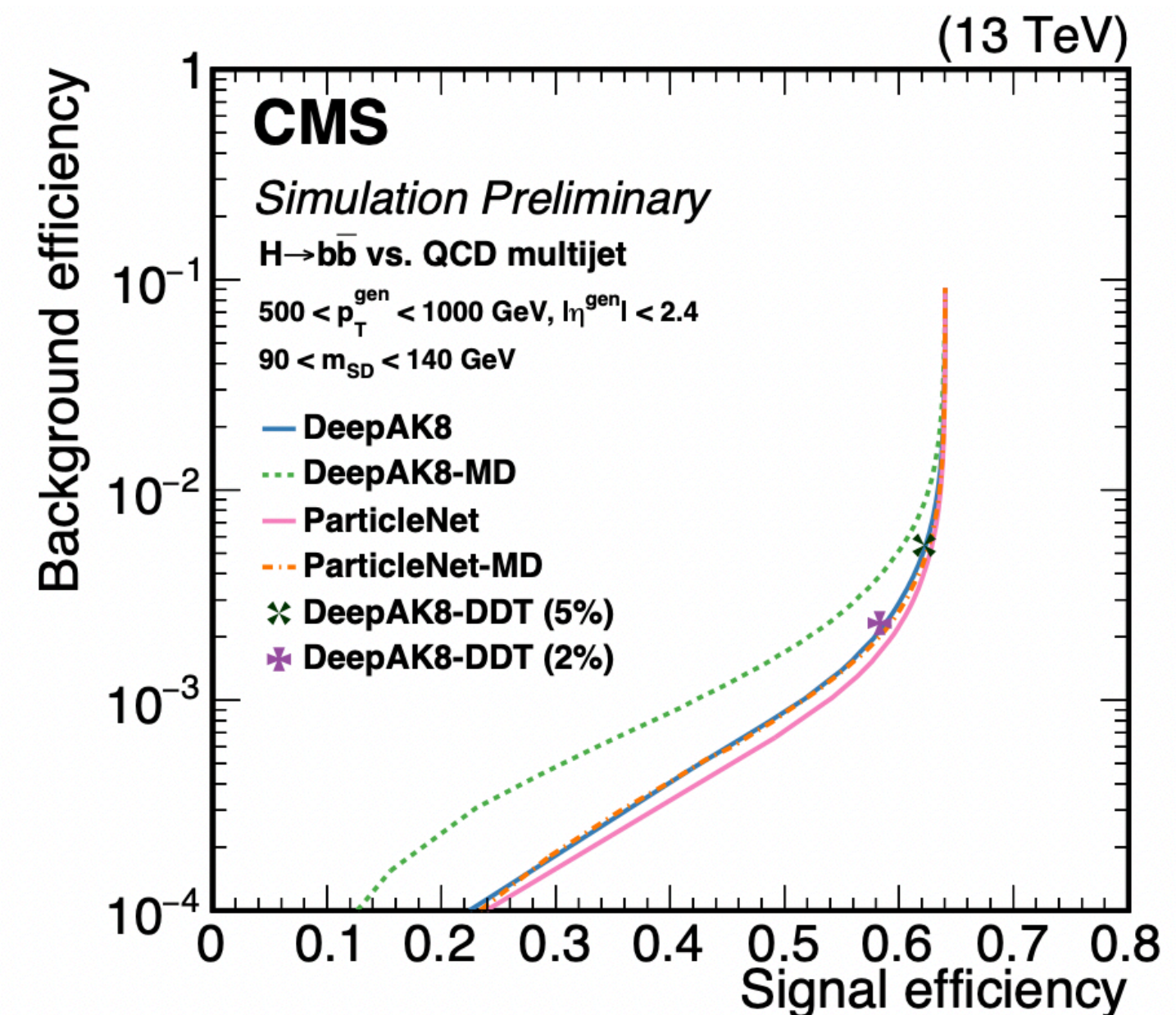
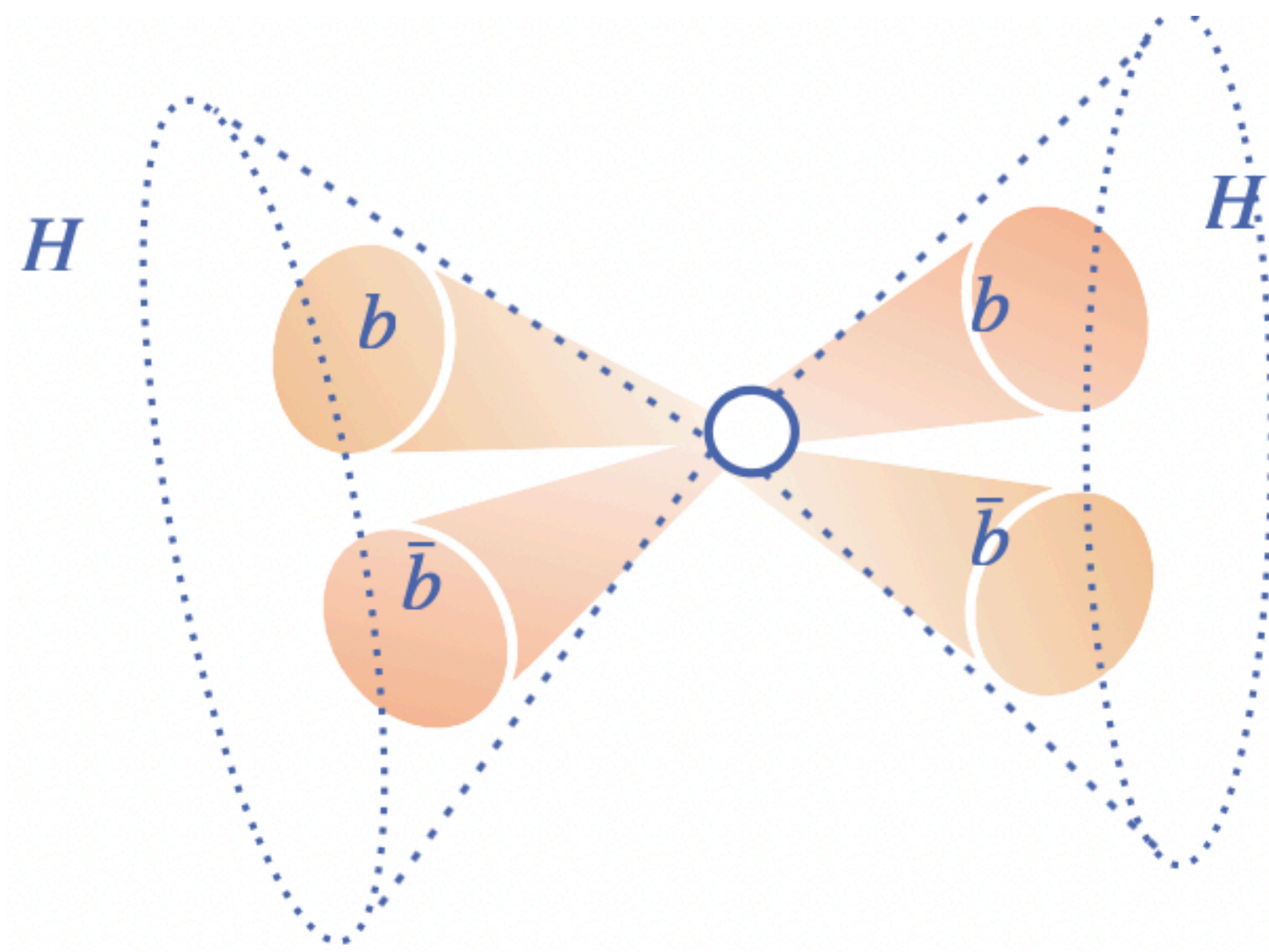




# Use of deep learning with low-level inputs

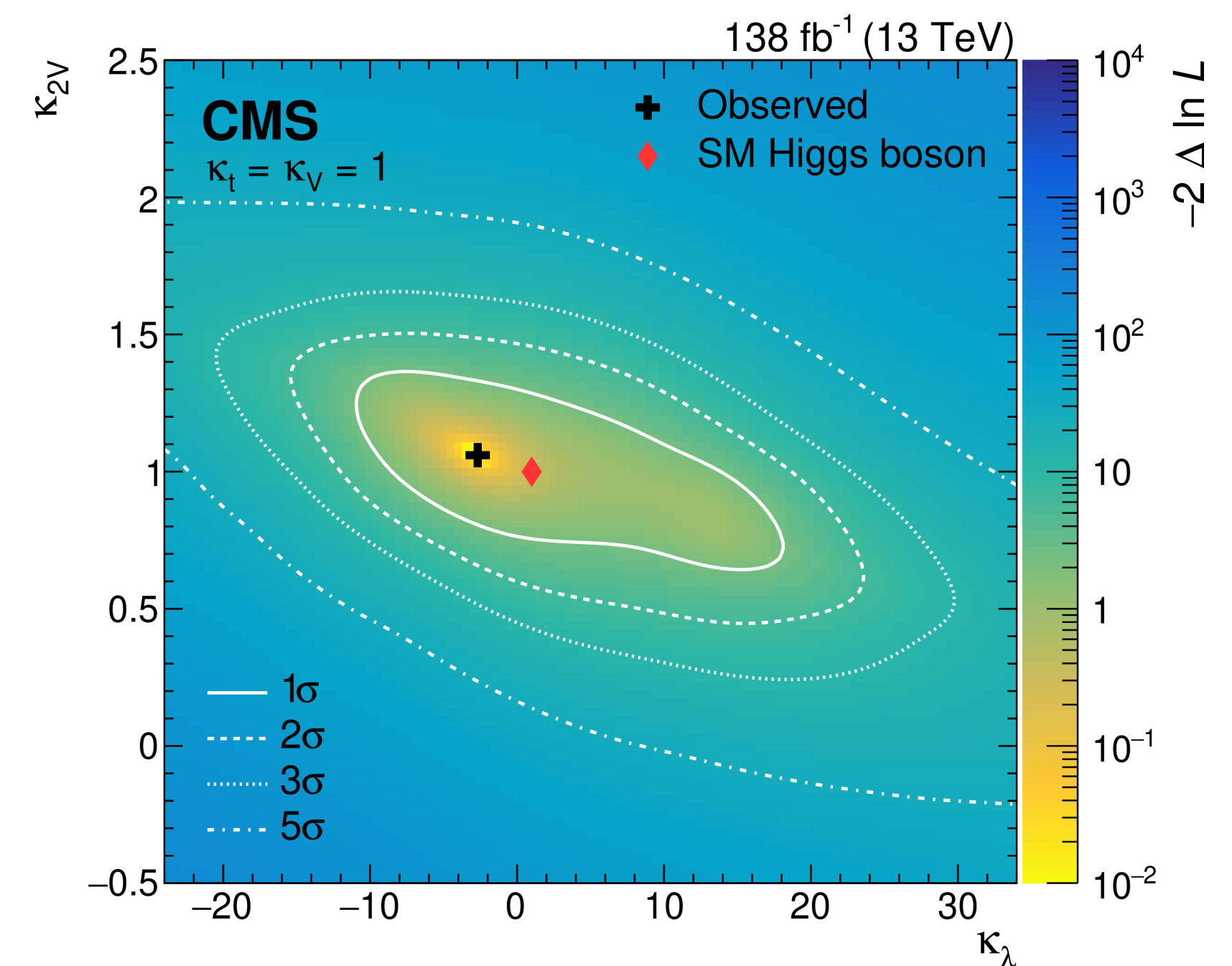
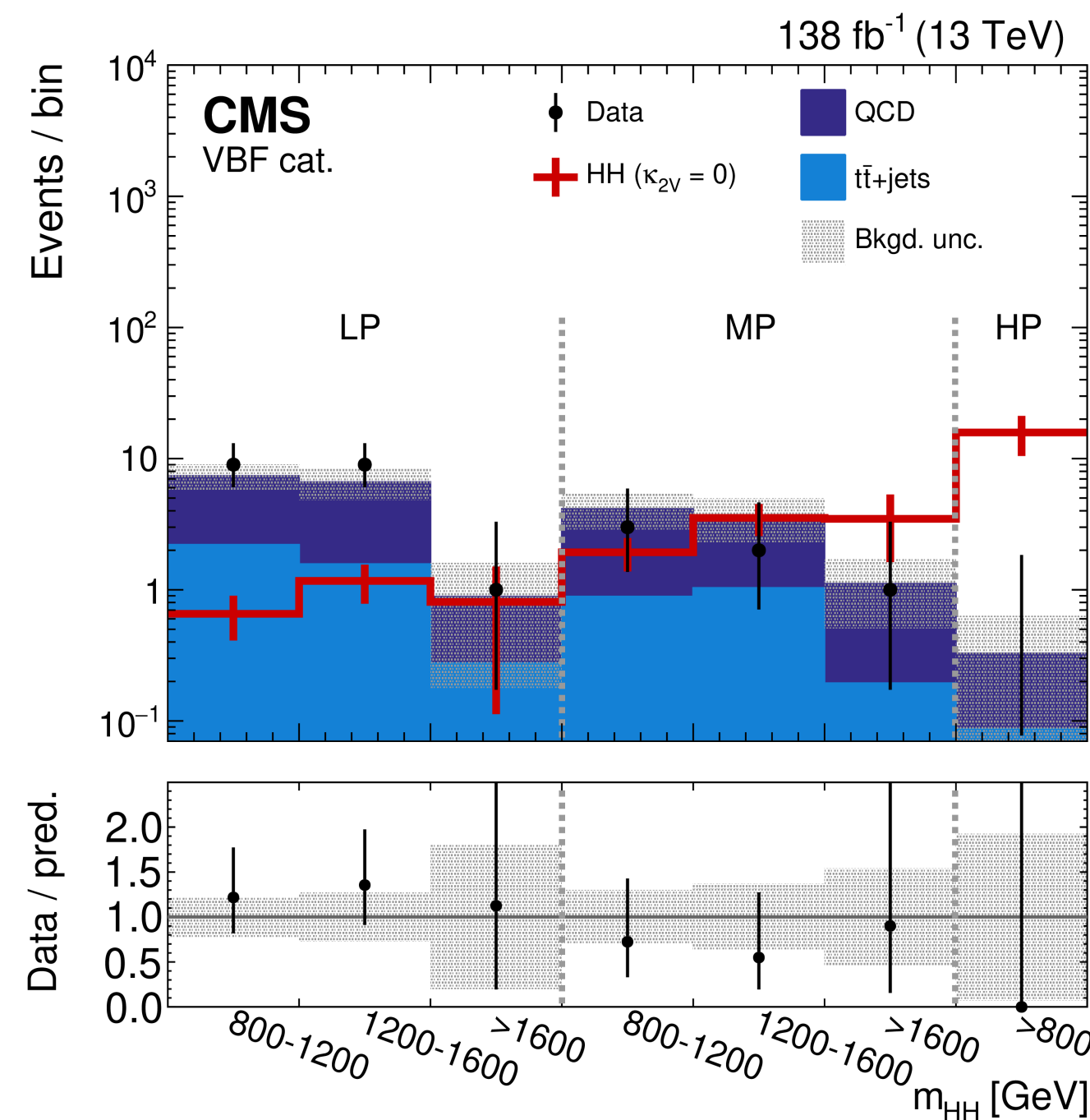
# Non-resonant boosted $HH \rightarrow b\bar{b}b\bar{b}$ analysis (2022)

- Focus on phase space region where both Higgs bosons are highly Lorentz boosted
- Reconstruction and identification of  $b$  quark pair from Higgs decay is achieved with **ParticleNet, a graph neural network algorithm**
  - Using PF candidates and secondary vertices as inputs, yielding substantial gains over other approaches



# Non-resonant boosted HH→bbbb analysis (2022)

- HH candidate mass is taken as final discriminant
- Constrains the H self-coupling strength and the quartic VVHH coupling strength  $\kappa_{2V}$
- **Excluding  $\kappa_{2V}=0$  for the first time**, with a significance of  $6.3\sigma$

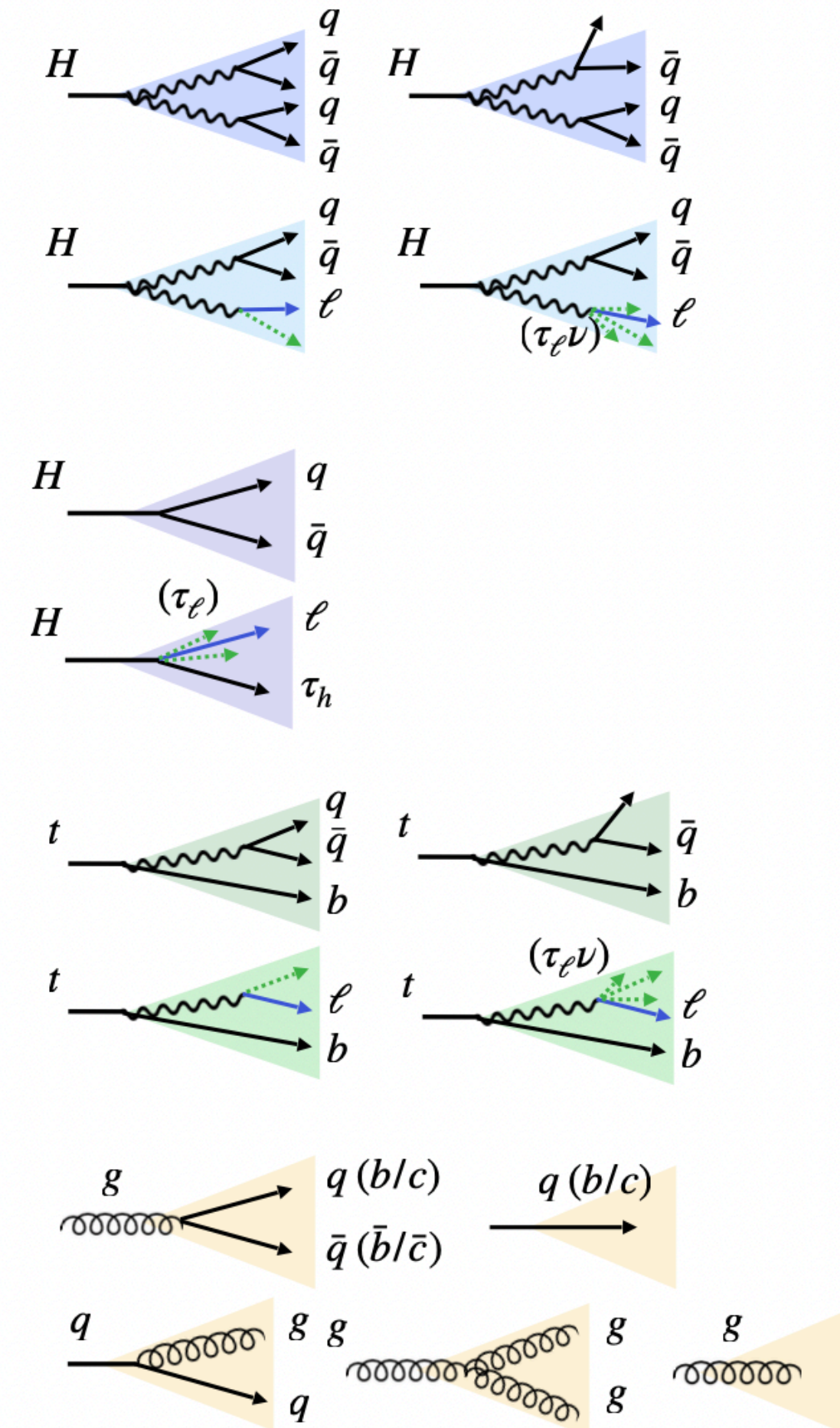


# Non-resonant boosted $HH \rightarrow bbVV$ analysis (2024)

- Extend to a large array of final states, including  $H \rightarrow VV$ , all-hadronic, and semi-leptonic modes

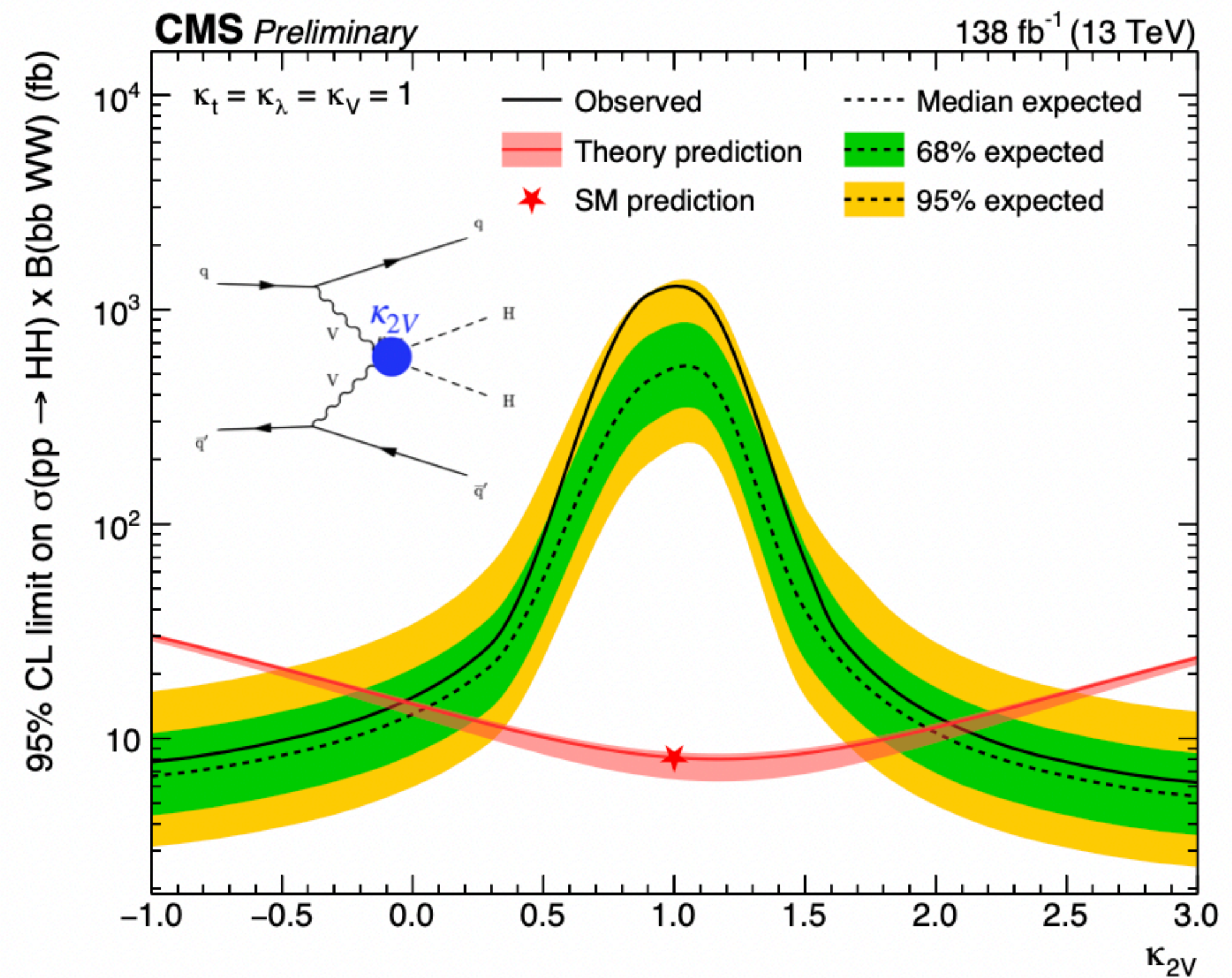
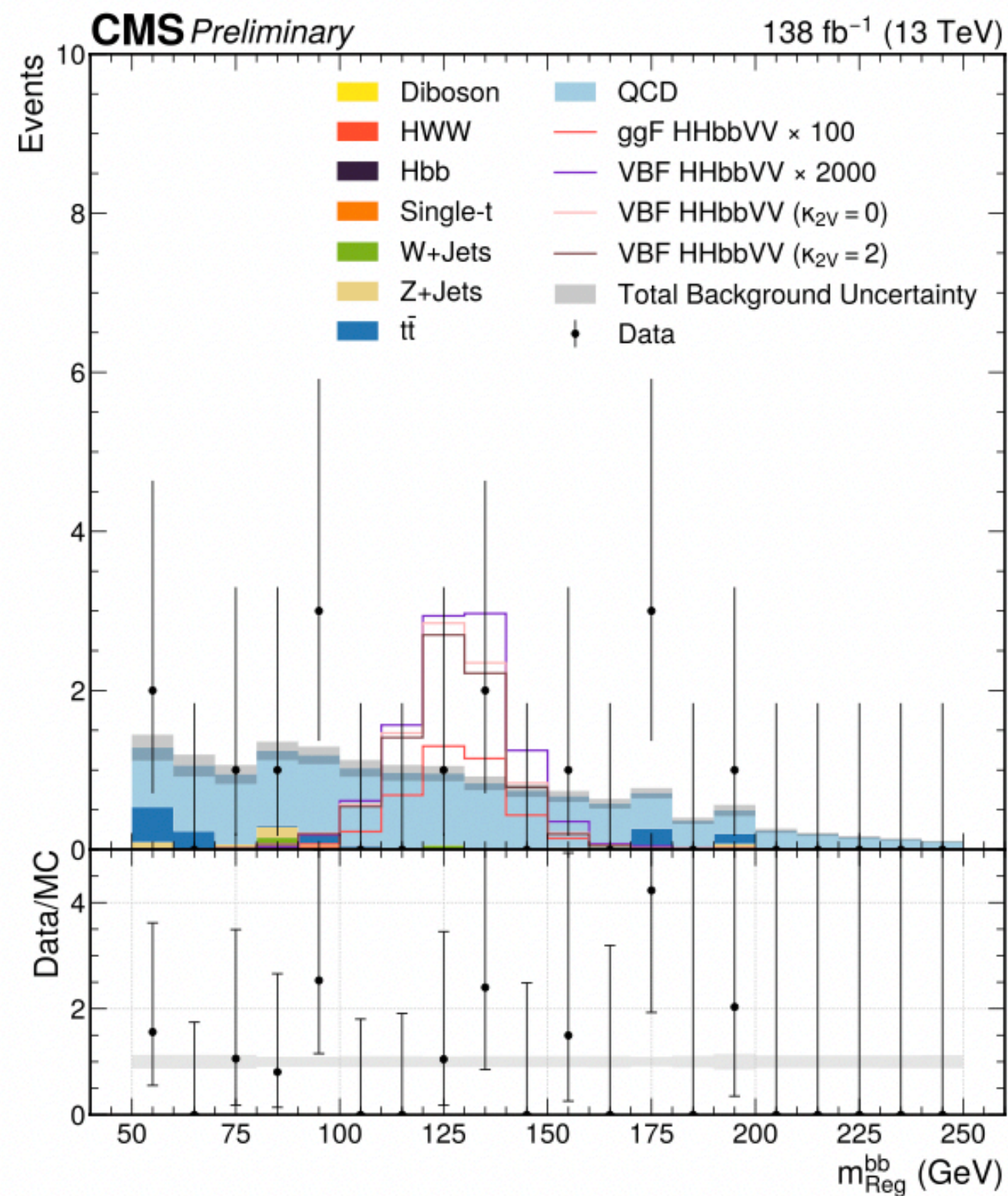
- Global Particle Transformer algorithm (GloParT)** uses learned “attention” to give more weight to certain particles in order to infer the origin of jets

Process	Final state/prongness	heavy flavour	# of classes
$H \rightarrow VV$ (full-hadronic)	qqqq	0c/1c/2c	3
	qqq		3
$H \rightarrow WW$ (semi-leptonic)	e $\nu$ qq	0c/1c	2
	$\mu$ $\nu$ qq		2
	$\tau_e$ $\nu$ qq		2
	$\tau_\mu$ $\nu$ qq		2
	$\tau_h$ $\nu$ qq		2
$H \rightarrow qq$		bb	1
		cc	1
		ss	1
		qq (q=u/d)	1
$H \rightarrow \tau\tau$	$\tau_e \tau_h$		1
	$\tau_\mu \tau_h$		1
	$\tau_h \tau_h$		1
$t \rightarrow bW$ (hadronic)	bqq	1b + 0c/1c	2
	bq		2
$t \rightarrow bW$ (leptonic)	b $e\nu$	1b	1
	b $\mu\nu$		1
	b $\tau_e\nu$		1
	b $\tau_\mu\nu$		1
	b $\tau_h\nu$		1
QCD		b	1
		bb	1
		c	1
		cc	1
		others (light)	1



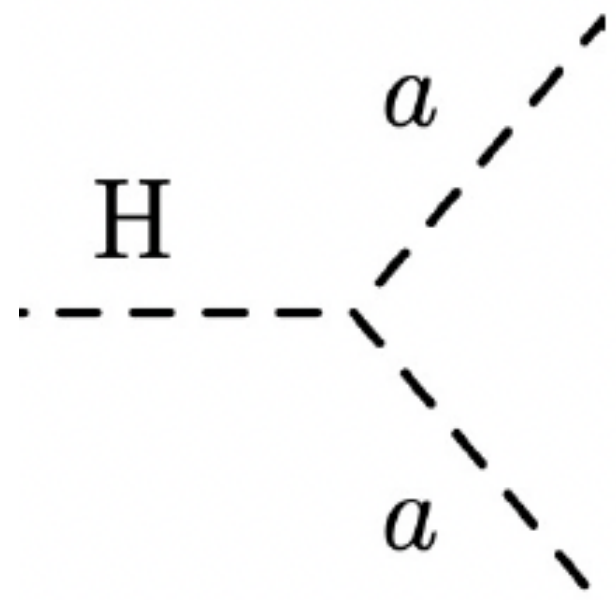
# Non-resonant boosted $HH \rightarrow bbVV$ analysis (2024)

- Enables a new search for boosted  $HH \rightarrow bbVV \rightarrow bb4q$
- established ParticleNet mass-decorrelated tagger for  $H \rightarrow bb$  jets
- new high-performing GloParT tagger for  $H \rightarrow VV$  jets
- **Provides second-best constraint on HHVV coupling  $\kappa_{2V}$**

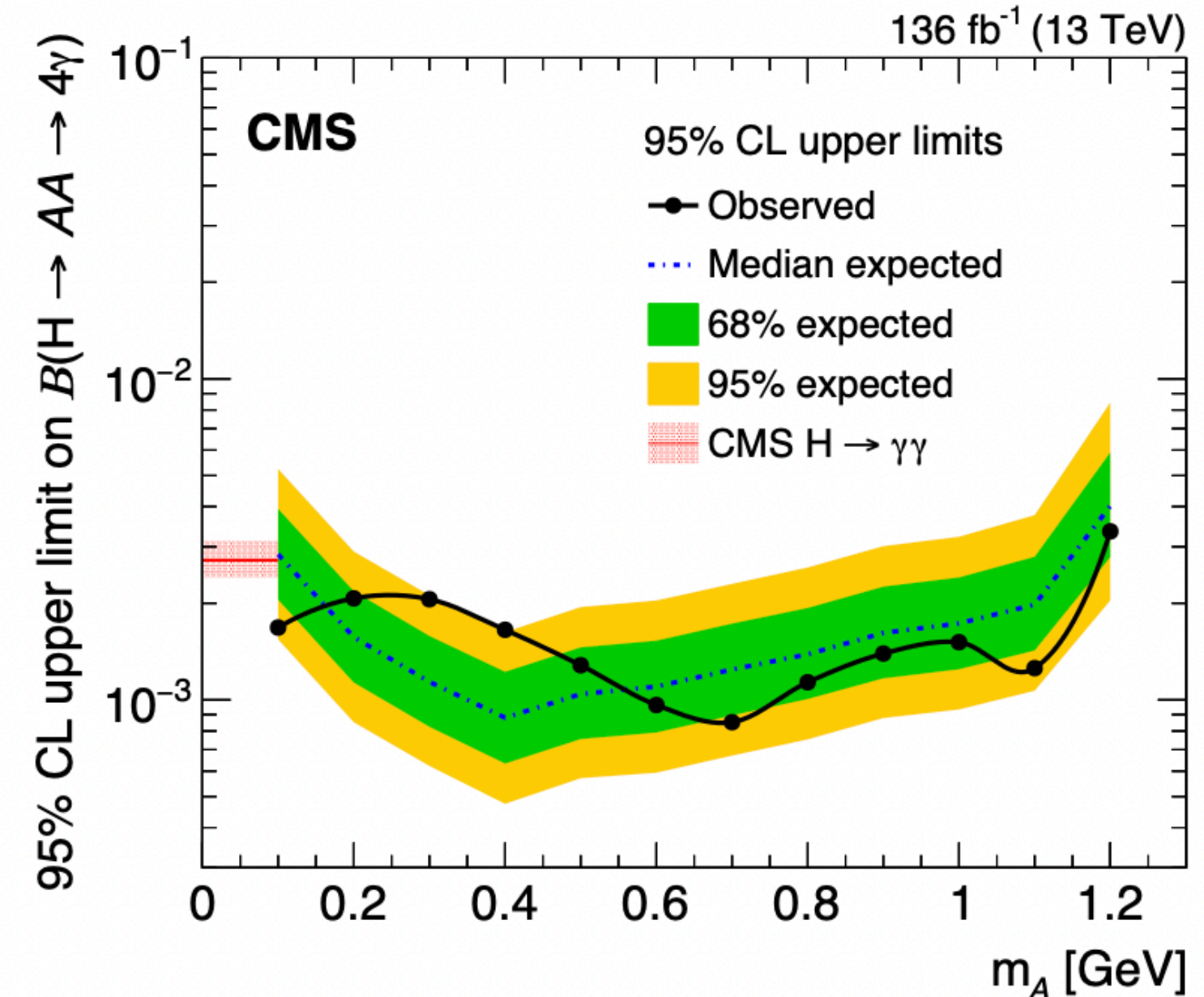
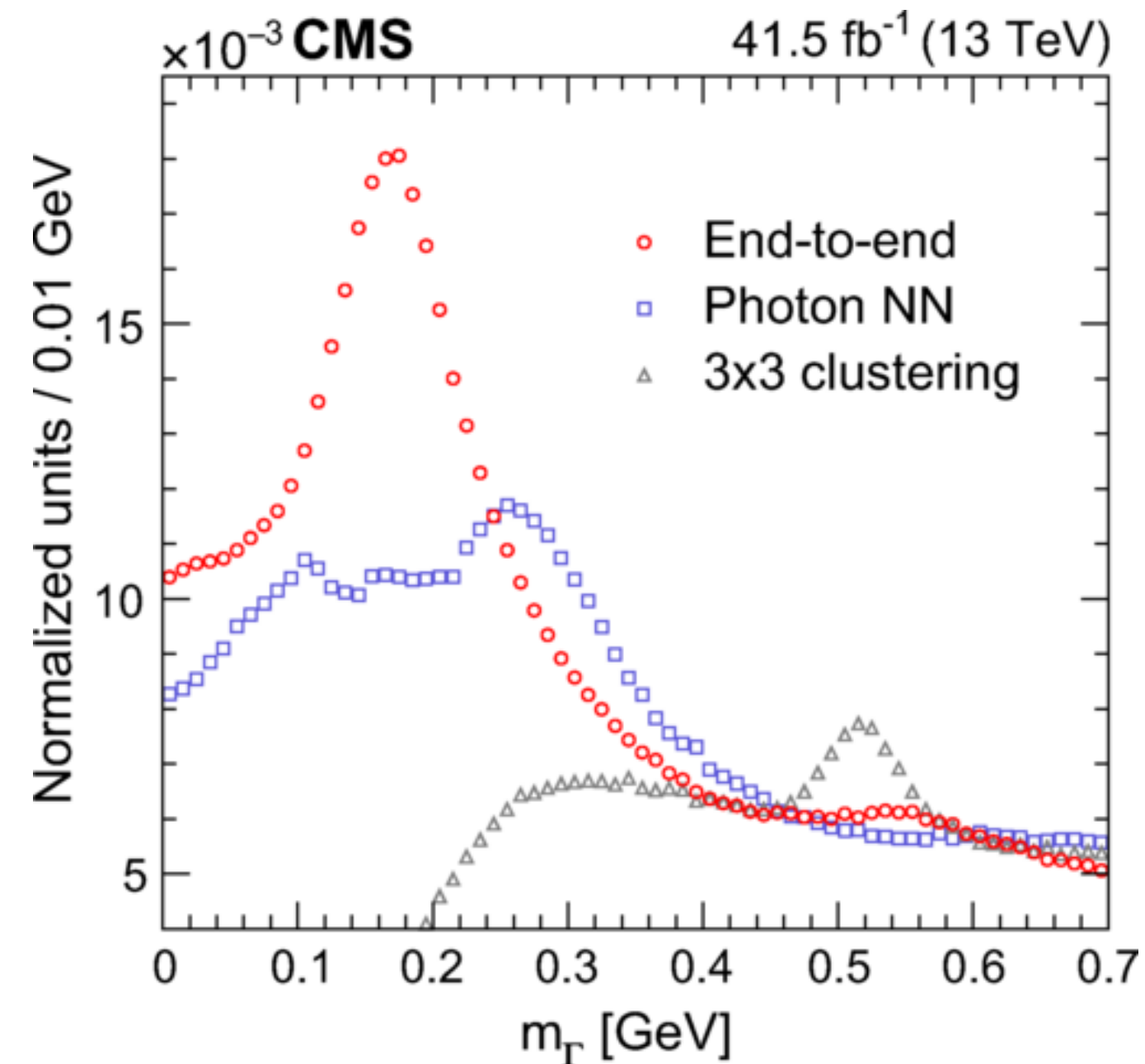


[CMS-PAS-HIG-23-012](#)

# Search for Higgs exotic decay $H \rightarrow AA \rightarrow \gamma\gamma\gamma\gamma$



- Very low-mass scalar A decays to two highly merged photons, reconstructed using an *end-to-end* deep learning strategy
- It uses minimally processed detector data as input and directly outputs particle properties of interest
- Set upper limits on  $B(H \rightarrow AA \rightarrow 4\gamma)$  for masses of A in the range 0.1– 1.2 GeV

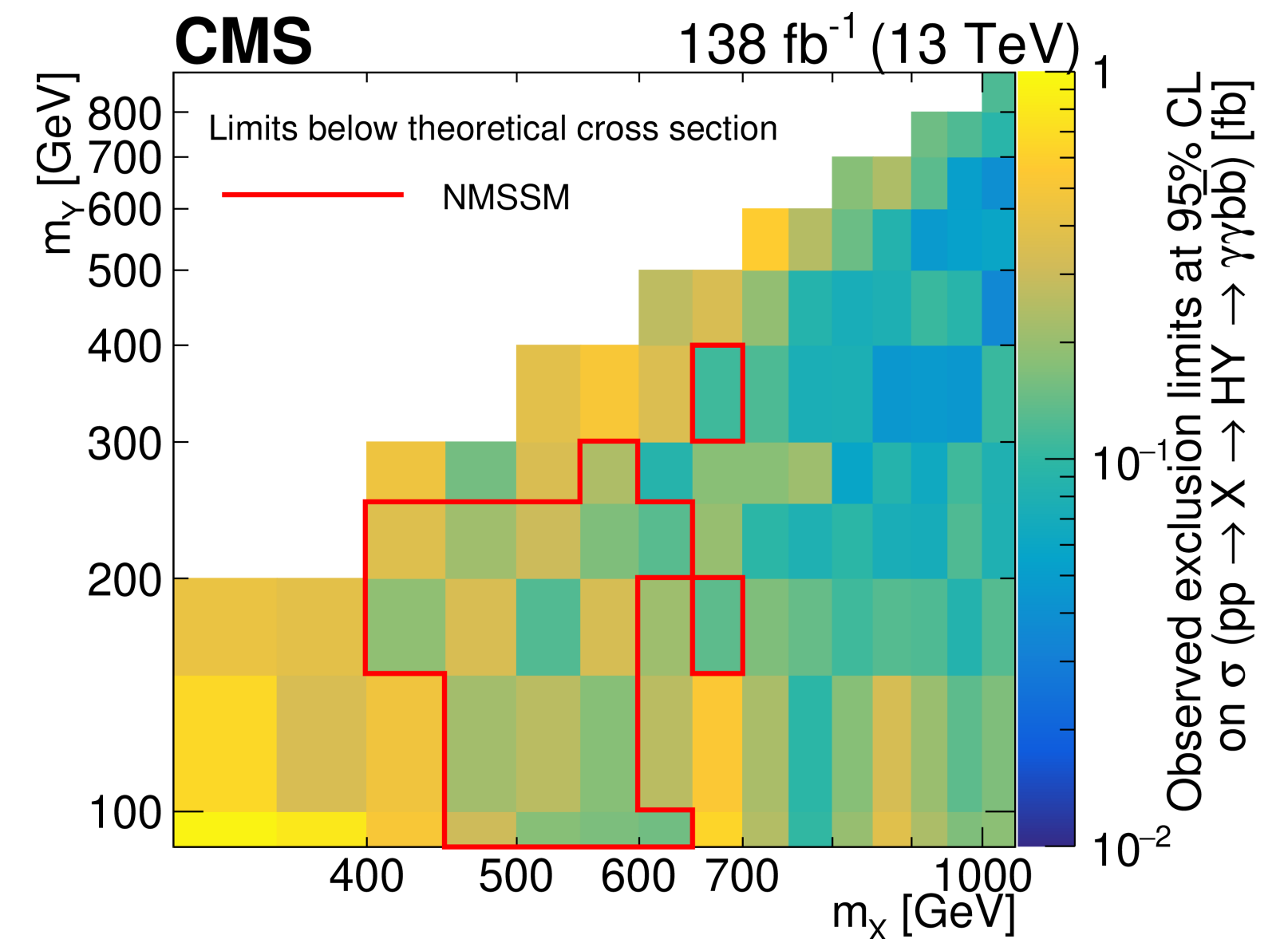


# **AI-based event classification in heavy resonance searches**

# $X \rightarrow Y(bb)H(\gamma\gamma)$

- Six exclusive kinematic regions are defined based on hypothesised values of  $m_X$  and  $m_Y$
- In each kinematic region, a BDT with 3 output classes (2 for backgrounds and 1 for signal) is trained
- all contained signal samples and the two background samples are used with equal weight
- In each kinematic region, 3 event categories are defined based on output of corresponding BDT
- for each  $m_X$  hypothesis, signal is inferred from a fit in 2D distributions of  $m_{YY}$  and  $m_{jj}$

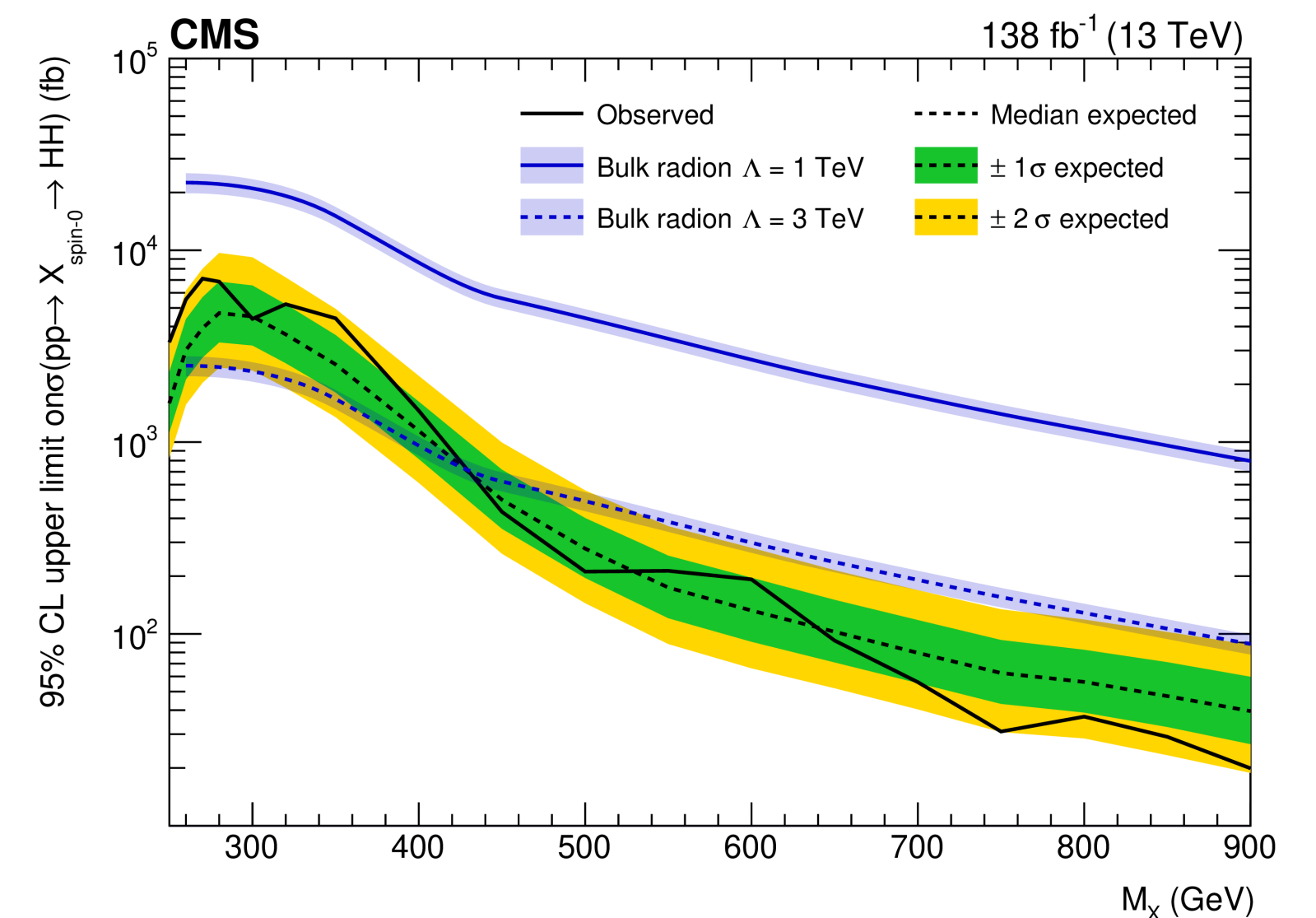
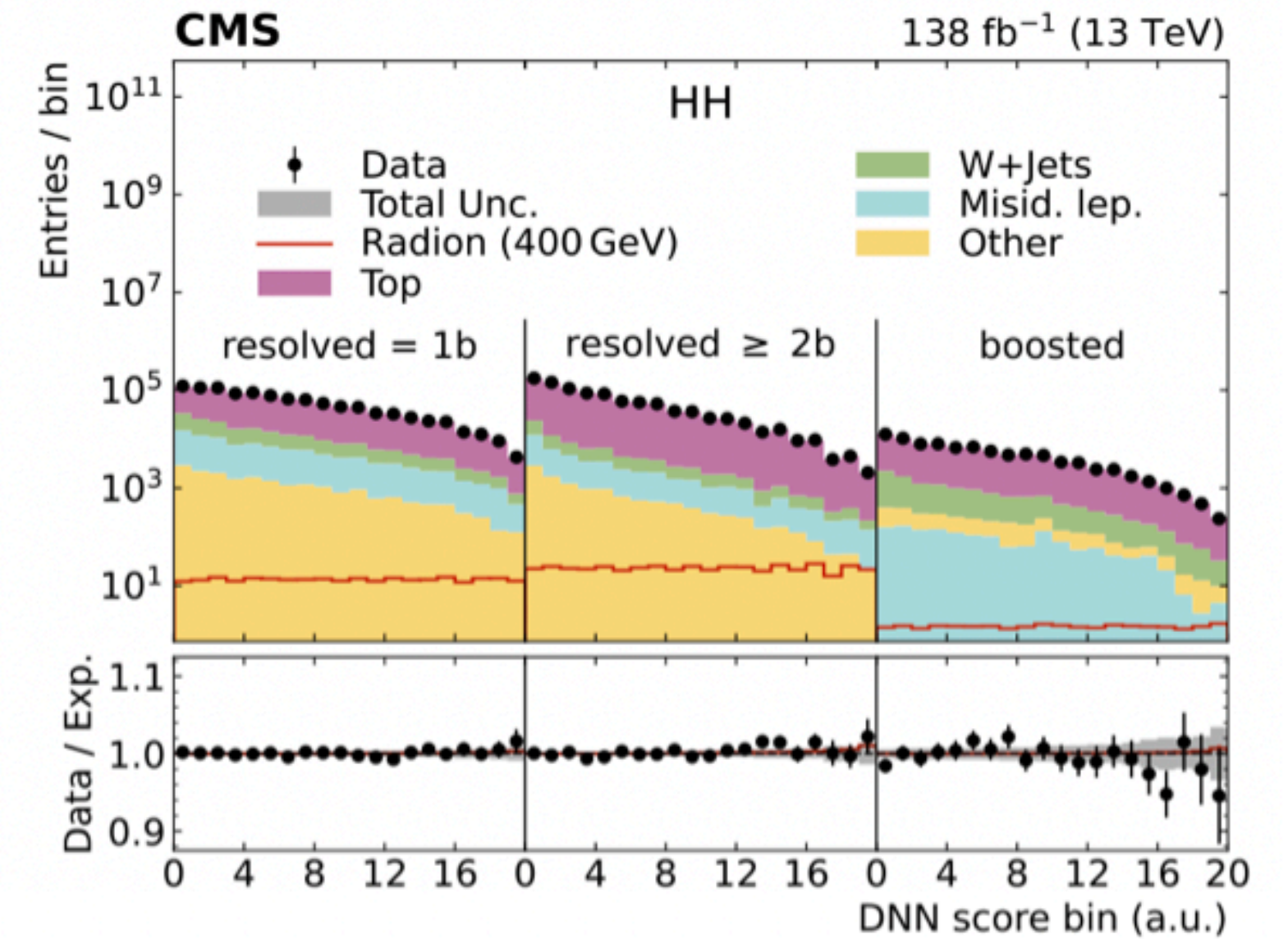
	$m_Y < 300$ GeV	$m_Y = [300-500]$ GeV	$m_Y > 500$ GeV
$m_X < 500$ GeV	CAT 0 = 0.63–1.0 CAT 1 = 0.33–0.63 CAT 2 = 0.17–0.33		
$m_X = [500-700]$ GeV	CAT 0 = 0.55–1.0 CAT 1 = 0.40–0.55 CAT 2 = 0.21–0.40	CAT 0 = 0.60–1.0 CAT 1 = 0.35–0.60 CAT 2 = 0.18–0.35	
$m_X > 700$ GeV	CAT 0 = 0.50–1.0 CAT 1 = 0.30–0.50 CAT 2 = 0.21–0.30	CAT 0 = 0.35–1.0 CAT 1 = 0.24–0.35 CAT 2 = 0.18–0.24	CAT 0 = 0.40–1.0 CAT 1 = 0.29–0.40 CAT 2 = 0.13–0.29





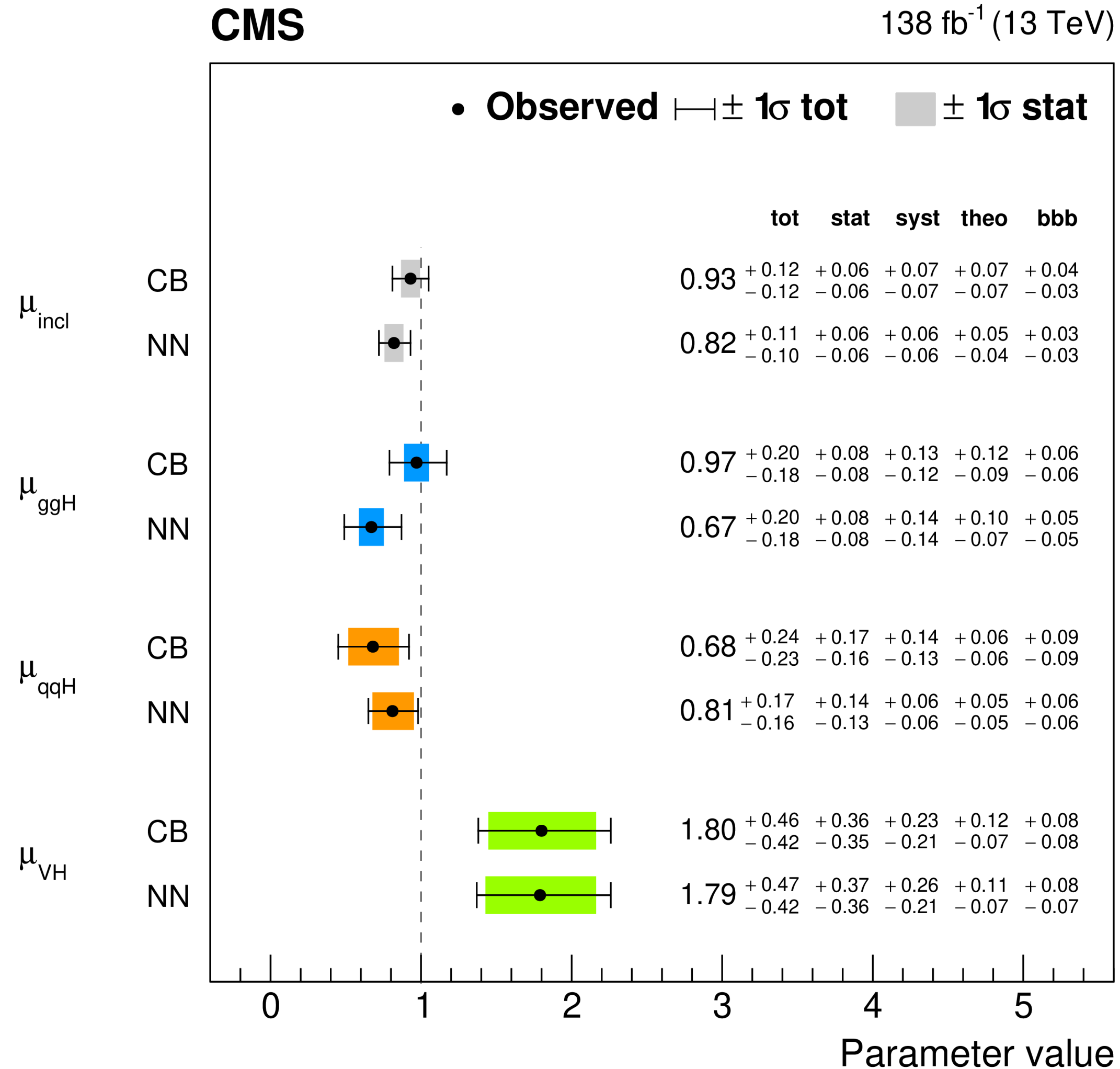
# $X \rightarrow H(bb)H(WW)$

- DNNs feature output nodes for a number of backgrounds and one signal node
- DNNs are trained on all signal samples; they are parameterized in nominal signal mass
- DNN architecture is complemented by a Lorentz Boost Network acting as input preprocessor
- takes four-vectors of reconstructed particles as input and creates additional observables
- Depending on the highest scoring node, events are subdivided into signal and background categories
- signal extraction is performed by a fit to DNN output distributions



# **Systematic-aware neural network for binned-likelihood-analyses**

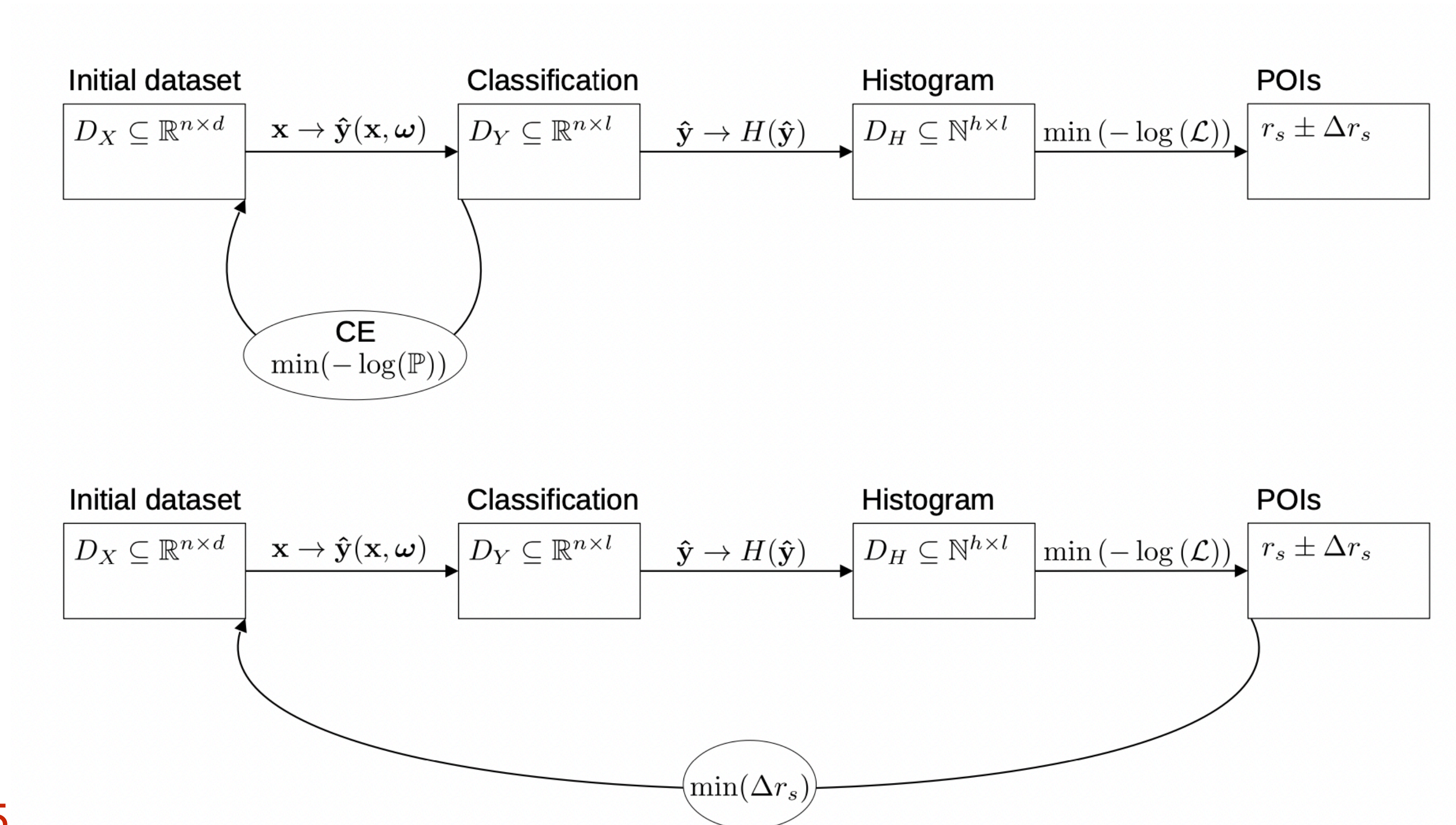
# Systematic-aware neural network



- Prospects for future measurements:
  - Statistical uncertainties will decrease for Run3 and HL-LHC
  - Systematic uncertainties will become more important

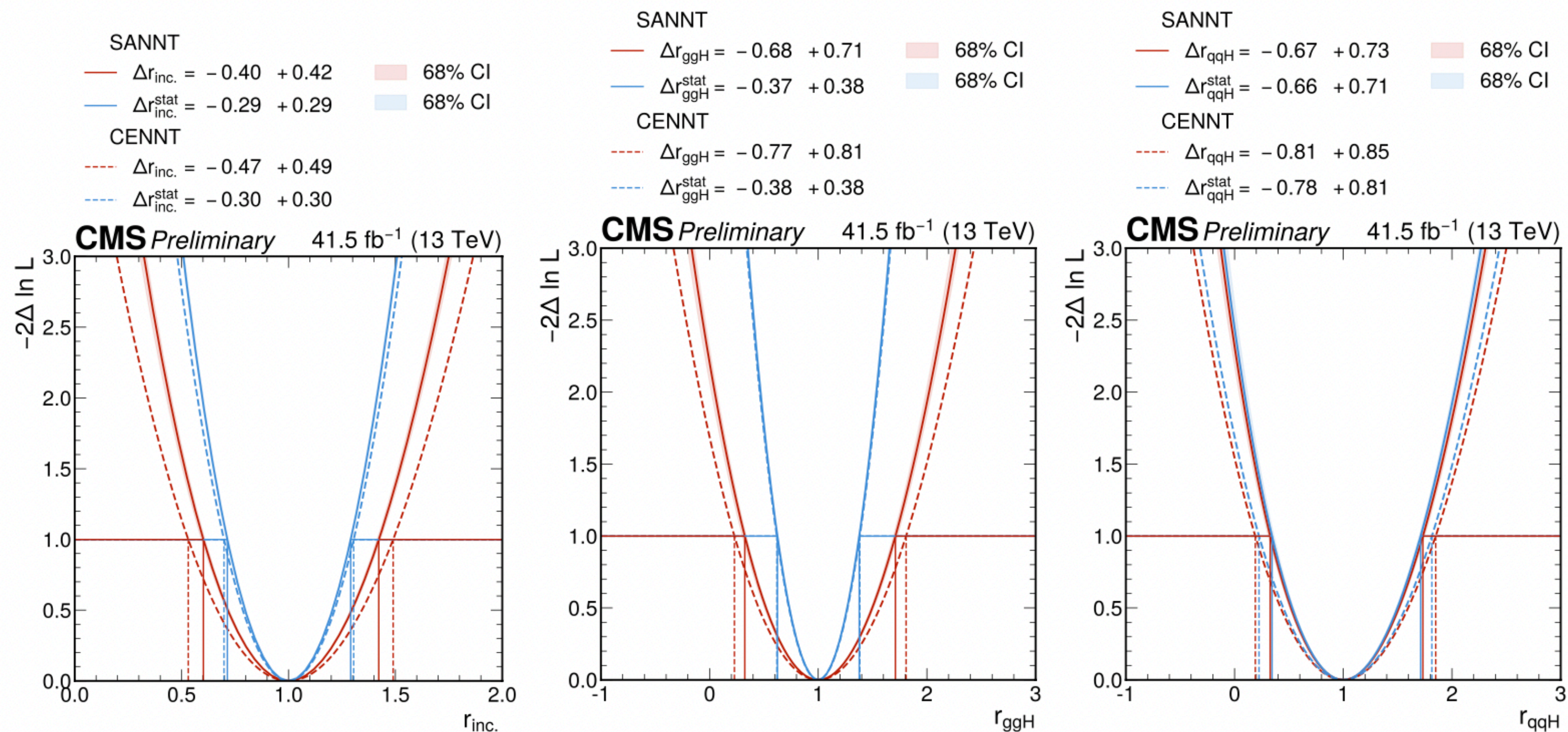
# Systematic-aware neural network

- CMS demonstrate a neural network training, capable of accounting for the effects of systematic variations, and describe its extension towards multiclass classification
- **Key: choosing gradients for histogram operation**



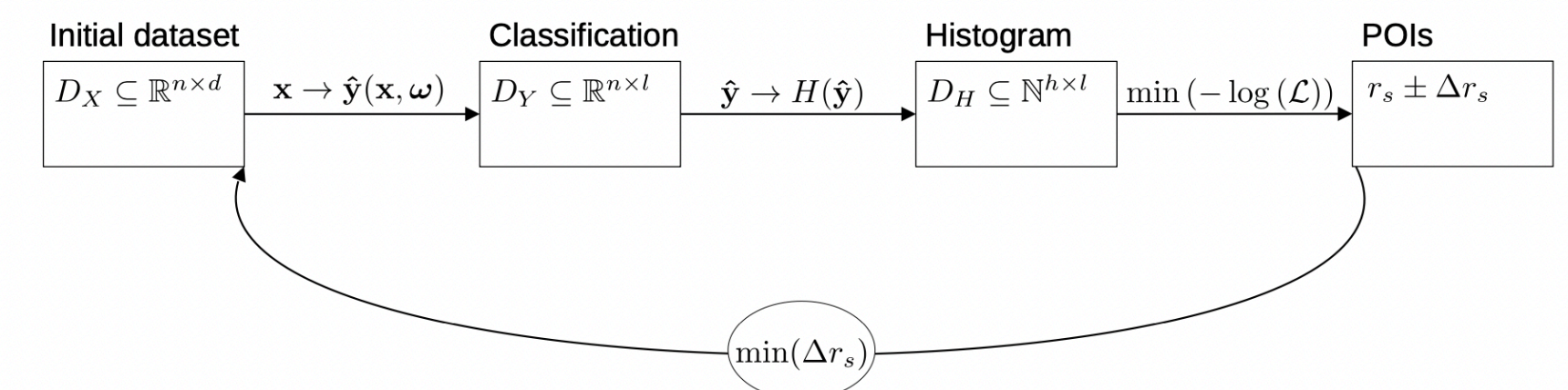
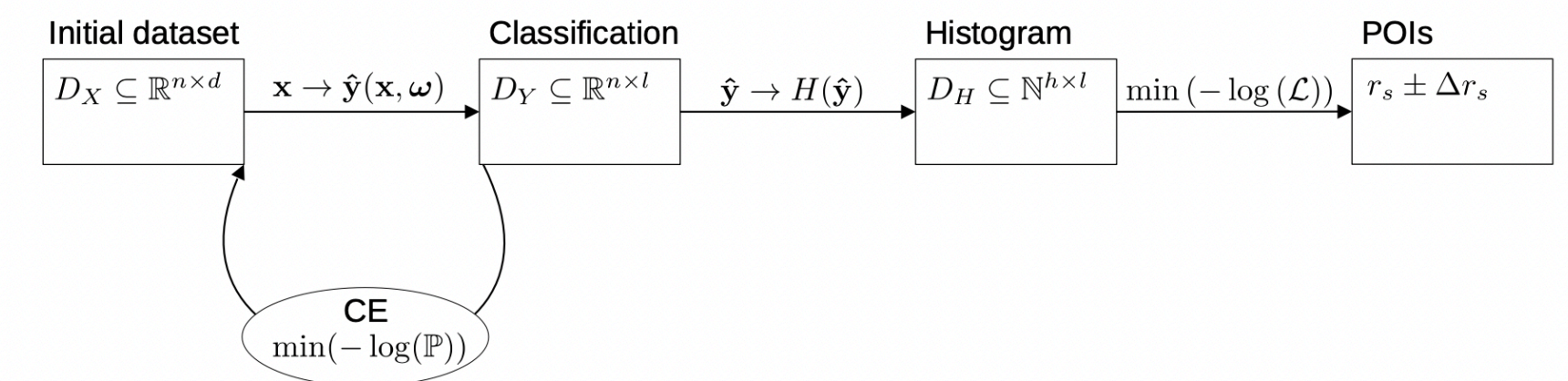
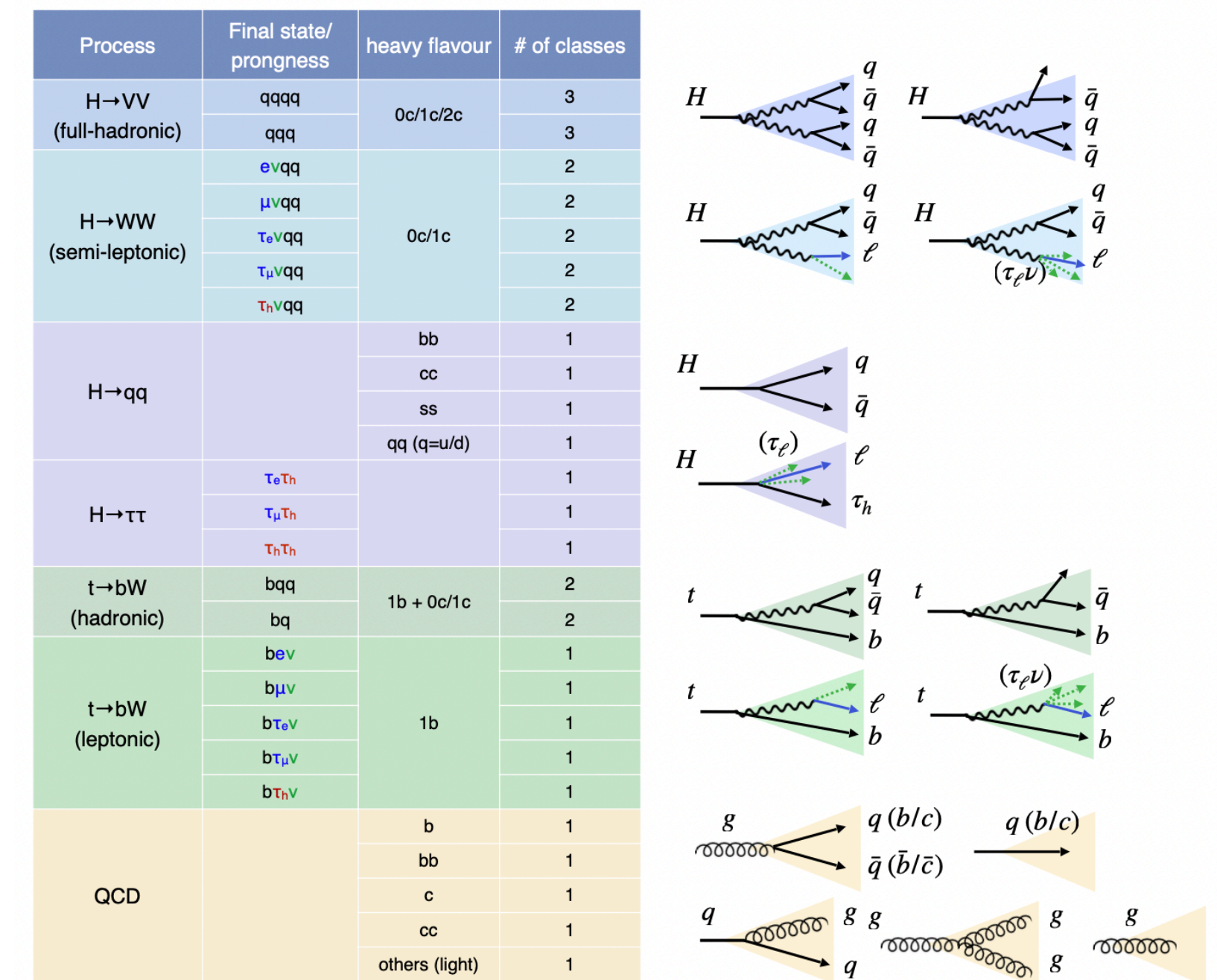
# Systematic-aware neural network

- Based on a comprehensive data model with 86 nontrivial shape-altering systematic variations for  $H \rightarrow \tau\tau$  analysis
- with respect to a conventional training, observe improvements of 12% and 16%, for the sensitivity in  $r_{ggH}$  and  $r_{qqH}$



# Summary

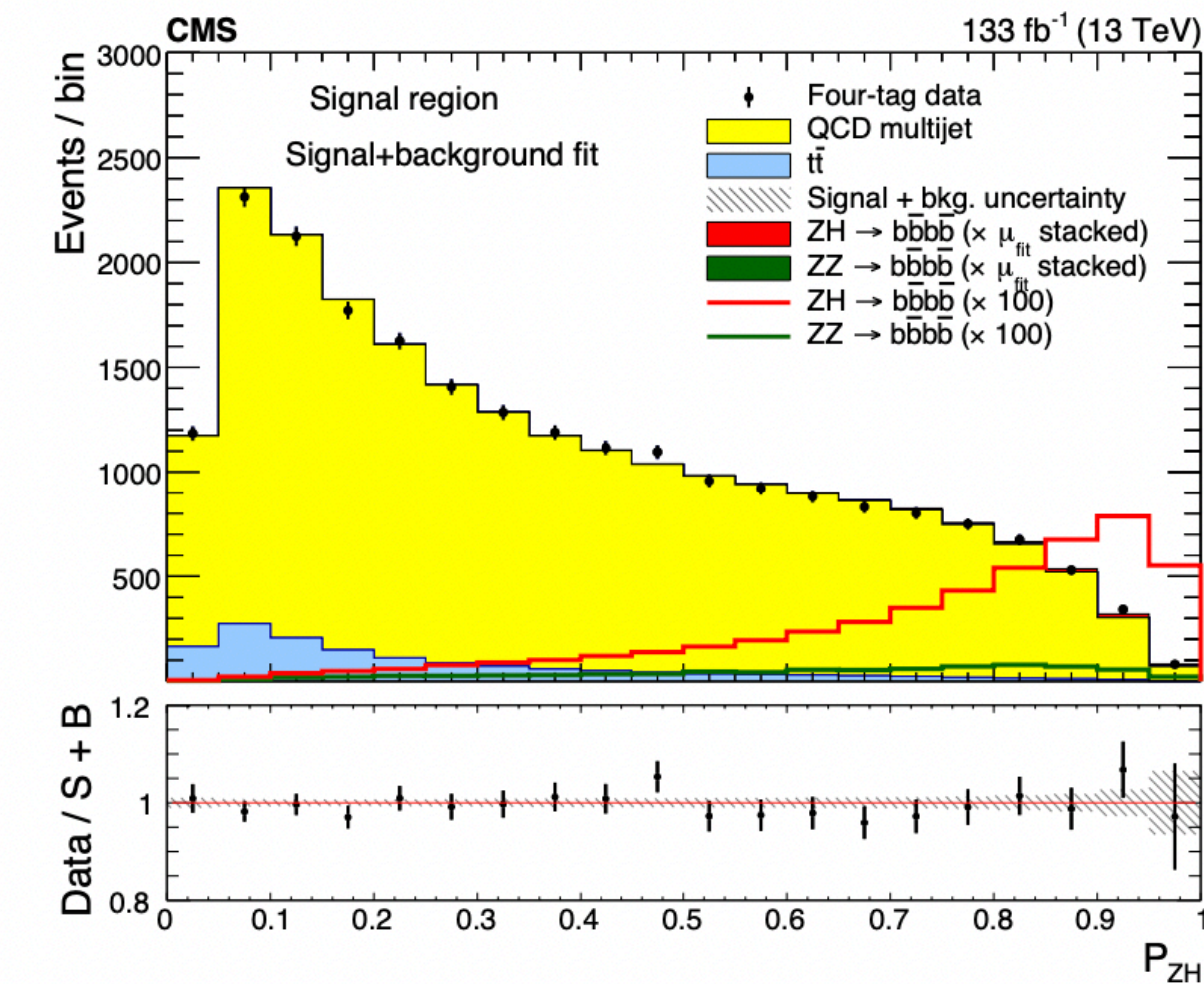
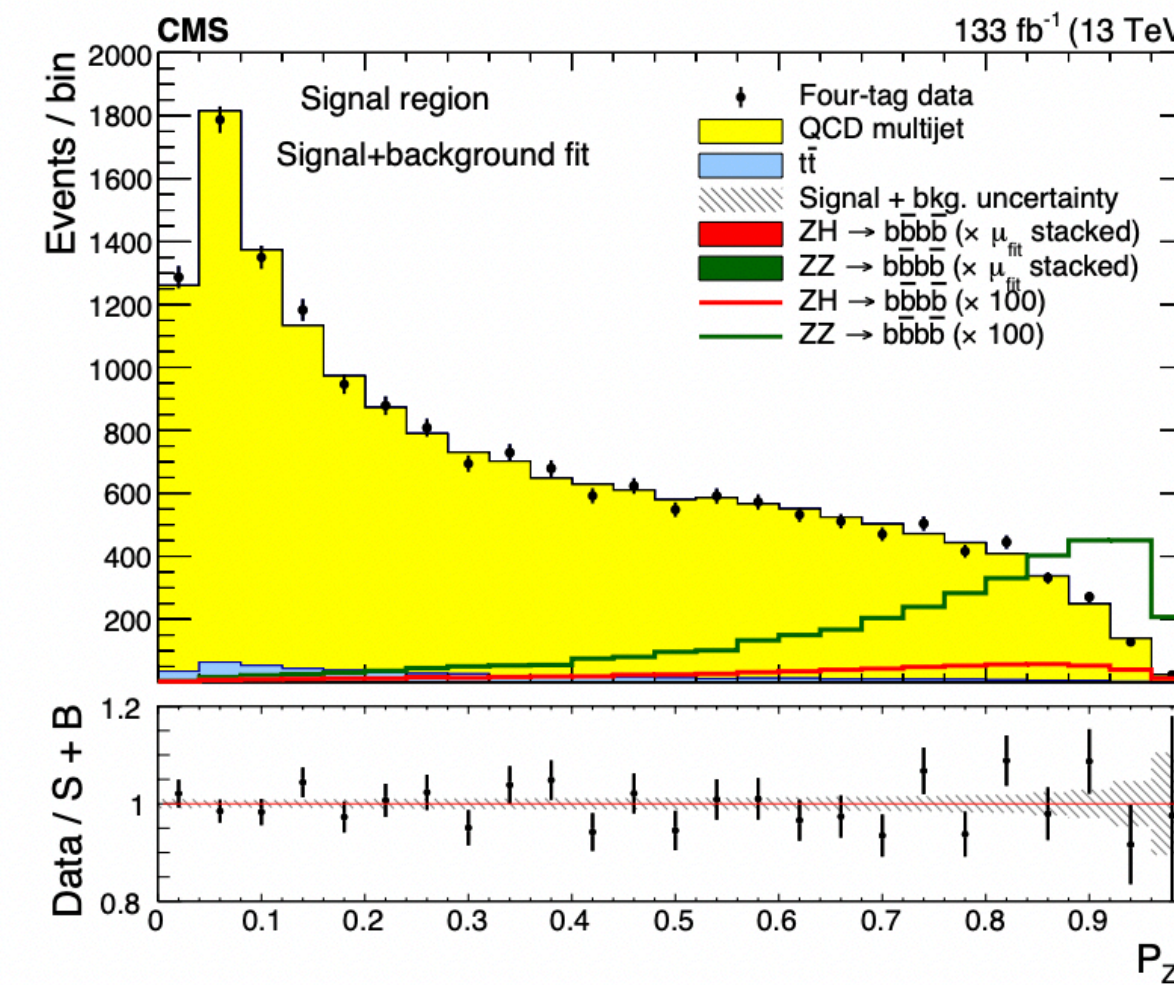
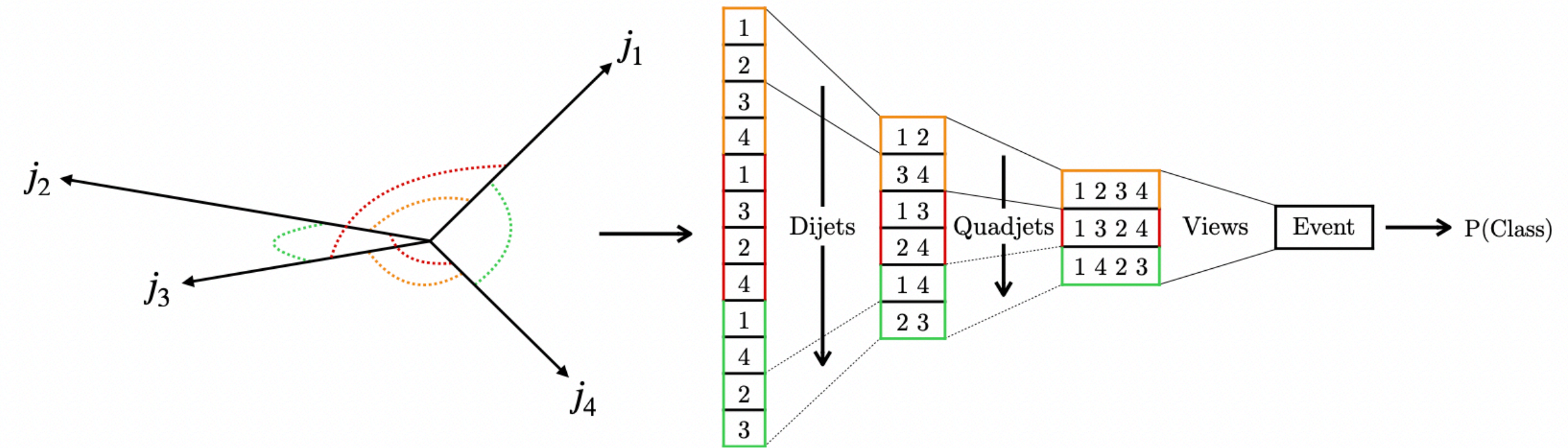
- **Machine Learning greatly enhances our ability of identifying signal from background: important for discovery of new physics**
- Lots of recent progress at CMS:
  - deep learning particle/event reconstruction
  - model-independent searches (see Roberto Seidita's talk)
  - systematic-aware neural network
  - etc.
- And there are much more to come!



**Thanks!**

# ZZ/ZH $\rightarrow$ 4b

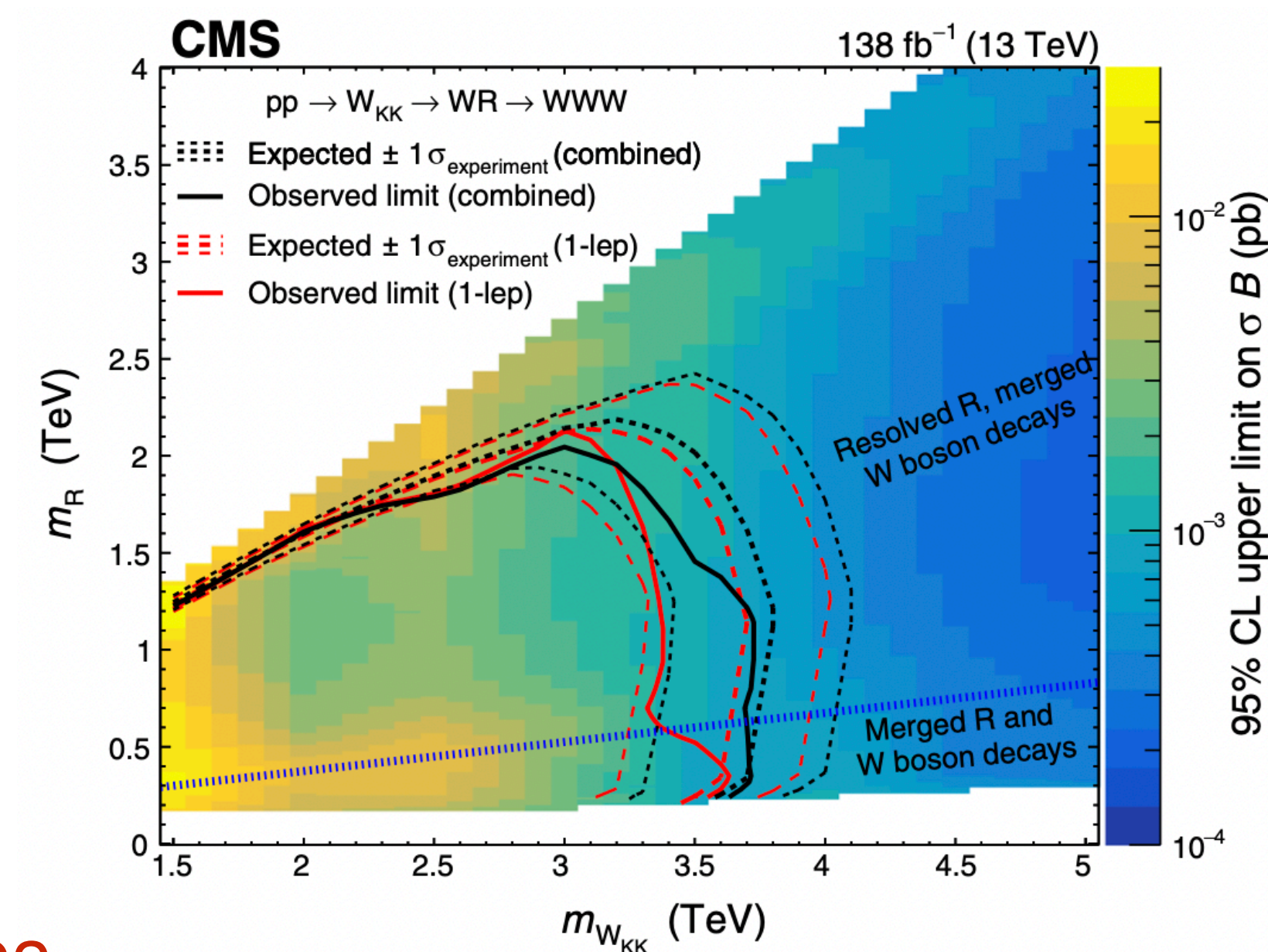
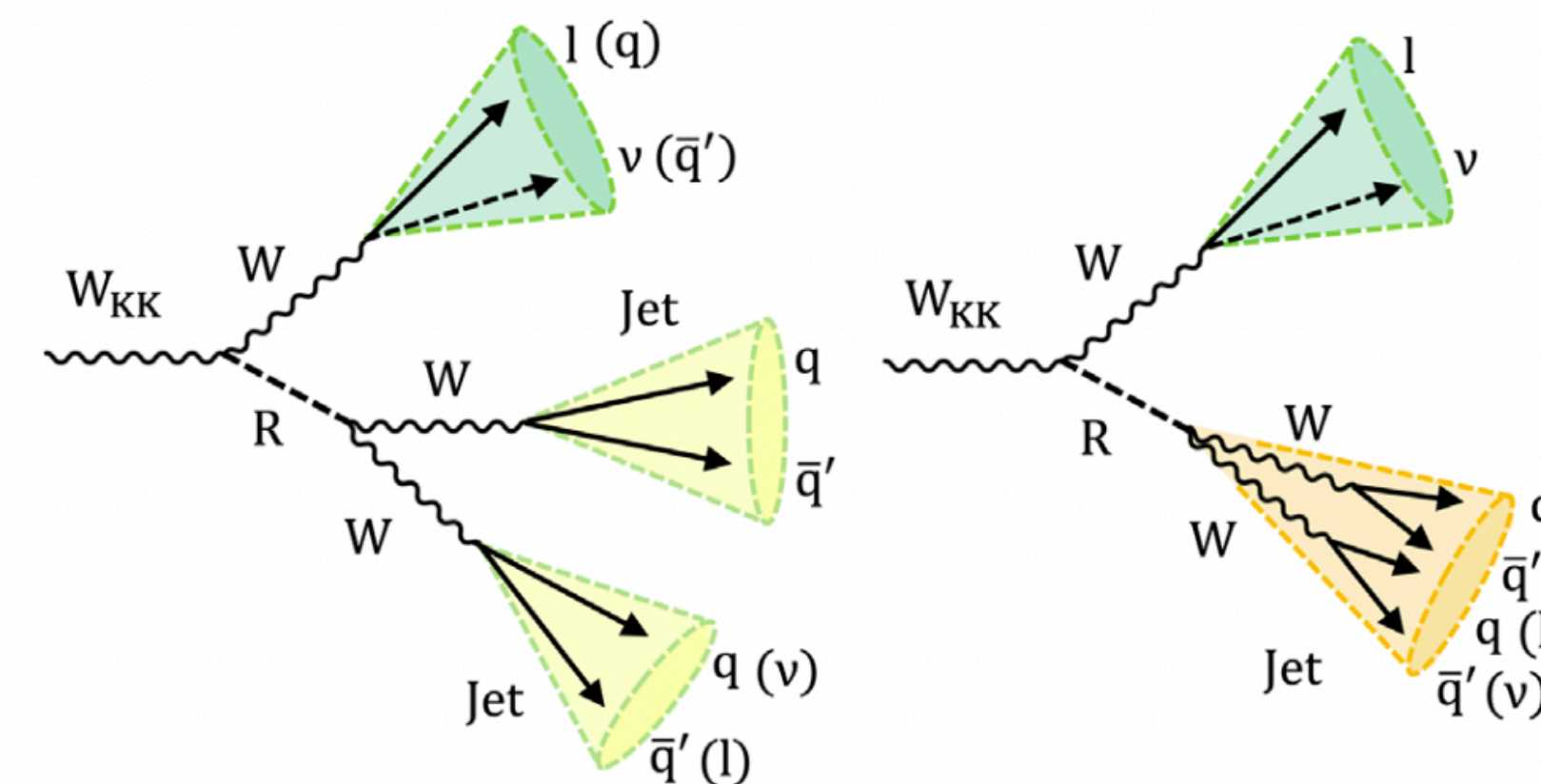
- Search for ZZ and ZH production in 4b final state
- Benefits from a multiclass multivariate classifier, which uses convolutions to solve combinatoric jet pairing problem, and has been designed with an architecture customized to 4b final state
- Observed (expected) upper limits on ZZ  $\rightarrow$  4b and ZH  $\rightarrow$  4b production cross sections correspond to 3.8 (3.8) and 5.0 (2.9) times SM prediction, respectively
- Analysis techniques directly applicable to the HH  $\rightarrow$  4b analysis





# Search for Resonances Decaying to Three W Bosons

- Radion decay configurations are simultaneously probed by combining outputs of DEEPAK8 algorithm
- call the resulting discriminants for merged radion decays “deep-WH” and for W bosons “deep-W”
- Using jet mass and deep-WH & deep-W discriminants, selected events are split into six SRs
- Limits are set on an extended warped extra-dimensional model
- The novel radion identification techniques are also applicable to Lorentz-boosted Higgs boson decays



# Systematic-aware neural network

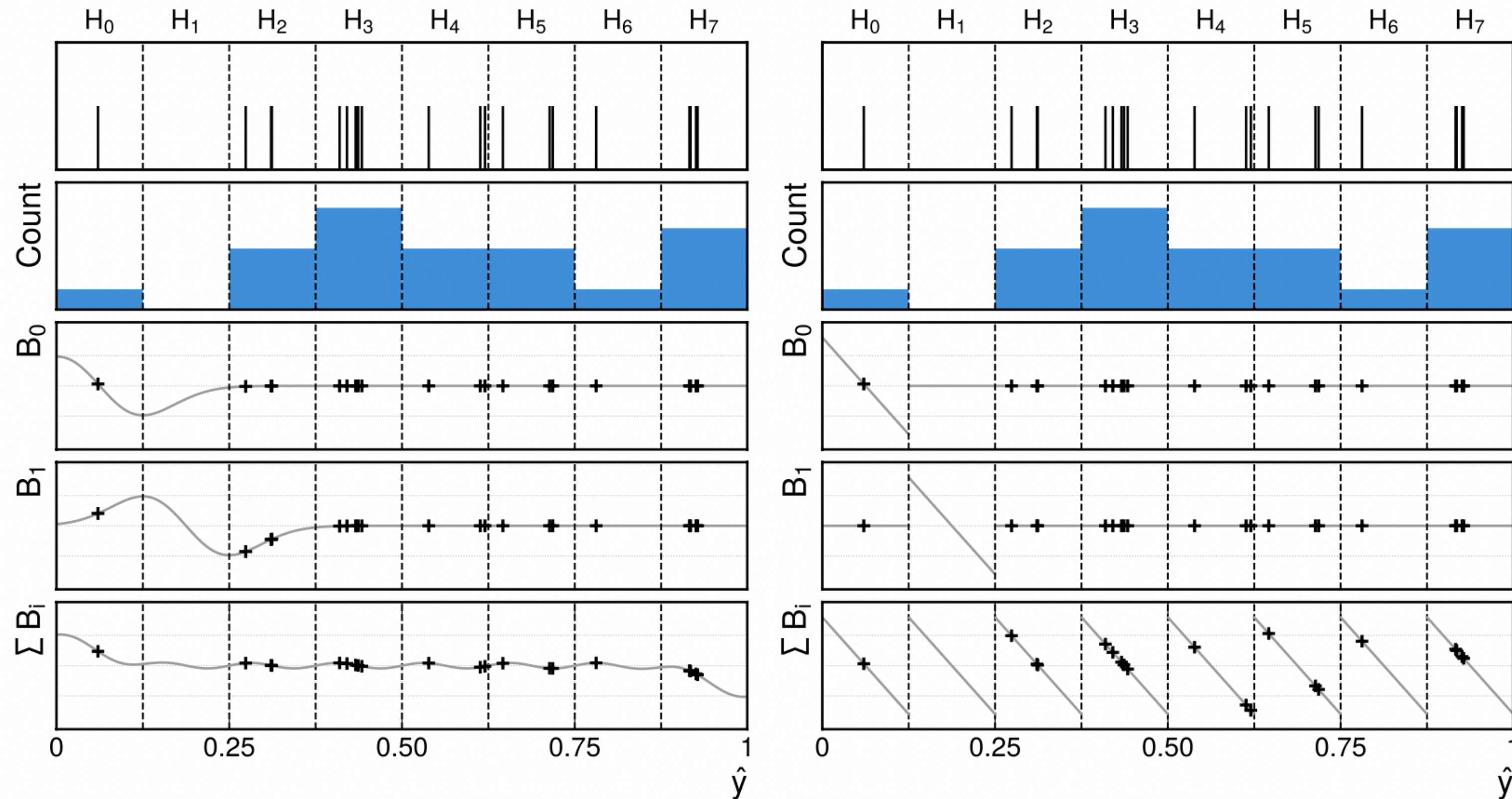


Figure 2: Custom functions  $\mathcal{B}_i$  for the backward pass of the backpropagation algorithm, as used (left) in Ref. [5] and (right) in this paper. In the first row of each sub-figure the same 20 random samples of a simple setup of pseudo-experiments, as described in Section 3.2 are shown. In the second row the resulting histogram  $H$ , in the third and fourth rows the functions  $B_0$  and  $B_1$  for the individual bins  $H_0$  and  $H_1$ , and in the last row the collective effect of  $\sum \mathcal{B}_i$  are shown.