# Top-quark jet substructure measurements with ATLAS

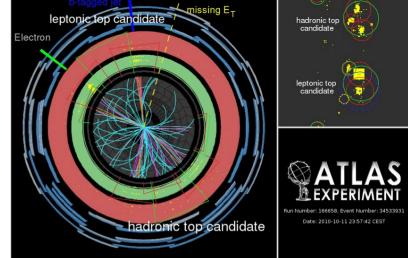
## Mario Campanelli (UCL) On behalf of the ATLAS collaboration

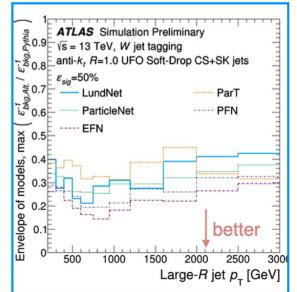
## BOOST 2024 Genova



# Why measure substructure for top quarks

- Jets from hadronic top decays are complex and interesting, with a b-jet (secondary vertex) and a color-singlet W.
- The BSM preference for the third generation made top tagging a hot topic for several years
- Complexity of final state means measurements are fundamental to reduce tagging systematics, especially for the most sophisticated ML tools
- eg. for W tagging, the more complex (and powerful) the tool, the larger the modelling systematics





# Final states for different measurements

- Top quarks can be selected with high purities and final state can be optimised for the study of interest
  - For b-jet studies (like b fragmentation), fully leptonic decays offer an environment free of extra hadronic radiation; displaced tracks offer a proxy for the b hadron decay products
  - To measure classic substructure variables in the top jet, use hadronic decays of one top (with the other hadronic or leptonic)
  - For separate studies of the top and W jets (Lund Plane), select a large-R jet in events with b-tagging, and distinguish if b is inside jet (top) or outside (W)

## B-hadrons fragmentation in b-jet

Why measuring them again after  $e^+e^-$  (aren't they universal?):

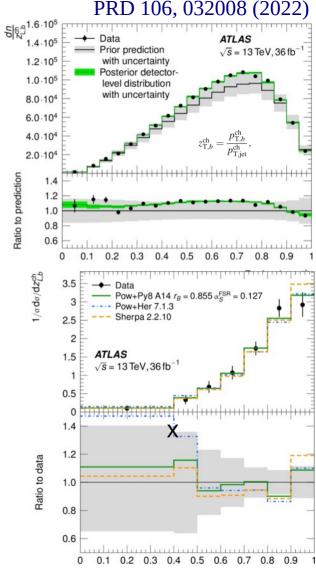
- Color connections between top and b
- Energy of b- quarks has wide range
- Better MC/unfolding tools

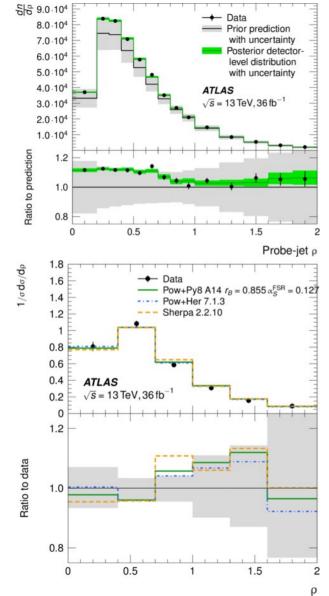
Analysis used 36/fb of data from 2015 and 2016, in the very pure exclusive  $e\mu\nu\nu$ bb final state.

Require one jet as b-tagged (tag) and the other to have a secondary vertex with > 2 tracks and fully contained in tracker (probe).

Measurement performed on charged particles of probe jets (0, 1 or 2 per event)

Fully Bayesian unfolding, with rescaled MC as prior. Clearly observe a shift towards lower z values in detector



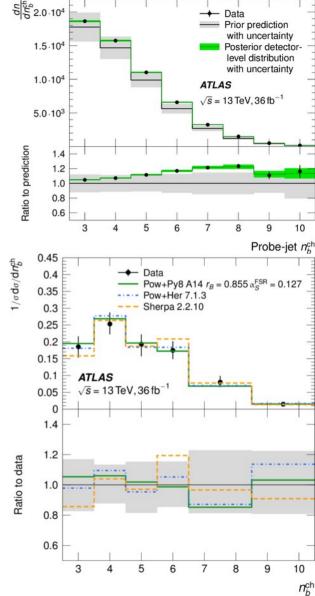


"QCD" observables Detector level

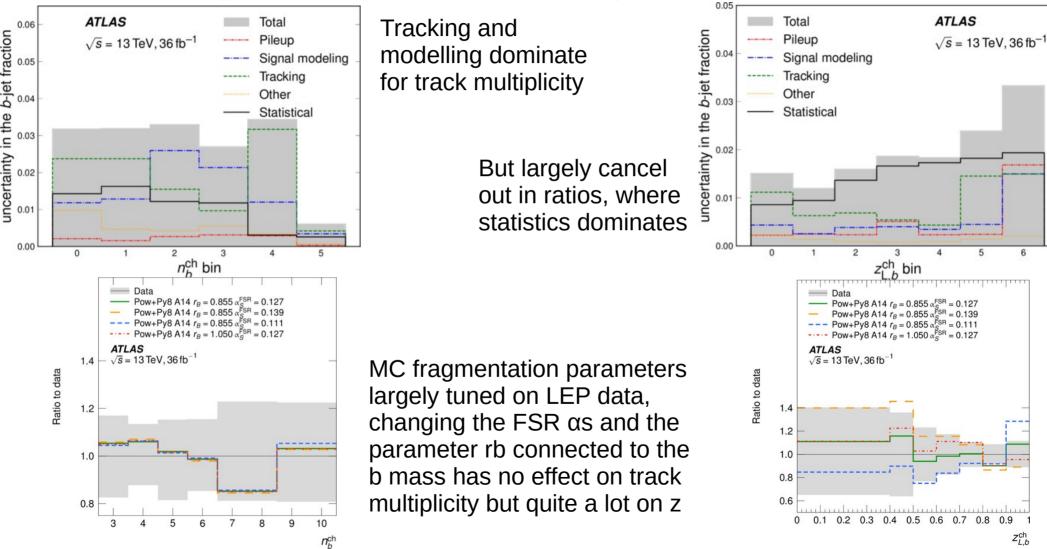
$$ho = rac{2 p_{\mathrm{T},b}^{\mathrm{ch}}}{p_{\mathrm{T}}^e + p_{\mathrm{T}}^{\mu}}$$

#### Particle level

Number of charged particles in b hadron decay



### Systematics and theory comparison



# "Classic" substructure PRD 109, 112016 (2024)

Even if nowadays just used as a reference for top tagging, variables like n-subjettiness, LH Angularity, Energy Correlation functions are still among the best to describe jet inner structure (and bring nostalgic souvenirs to the oldest among us).

Definitions:

$$\lambda_{\beta}^{\kappa} = \sum_{i \in J} z_i^{\kappa} \left( \frac{\Delta R(i, \hat{n})}{R} \right)^{\beta}.$$

Generalised angularities  $\lambda_2^0$  and  $\lambda_1^{0.5}$  are pT dispersion and Les Houches Angularity

$$\operatorname{ECF}(N) = \sum_{i_1 < i_2 < \dots < i_N \in J} \left( \prod_{a=1}^N p_{\mathrm{T}, i_a} \right) \\ \times \left( \prod_{b=1}^{N-1} \prod_{c=b+1}^N \Delta R(i_b, i_c) \right).$$

Energy Correlation Fractions, with N the number of prongs

$$ECF2 = \frac{ECF(2)}{ECF(1)^2}.$$

$$C_3 = \frac{\mathrm{ECF}(4)\,\mathrm{ECF}(2)}{\mathrm{ECF}(3)^2},$$

$$D_2 = \frac{\mathrm{ECF}(3)\,\mathrm{ECF}(1)^3}{\mathrm{ECF}(2)^3}.$$

C<sub>3</sub> (D<sub>2</sub>) close to 0 means 3-body (2body) structure  $\tau_N = \frac{1}{d_0} \sum_k p_{\mathrm{T},k} \min \{\Delta R_{1,k}, \Delta R_{2,k}, \dots, \Delta R_{N,k}\},$ with  $d_0 = \sum_k p_{\mathrm{T},k} R_0.$ 

Similarly, indicates the number of subjets In a jet. Usually used in ratios, like  $\tau_{32} = \tau_3/\tau_2$ Indicating a 3-prong structure

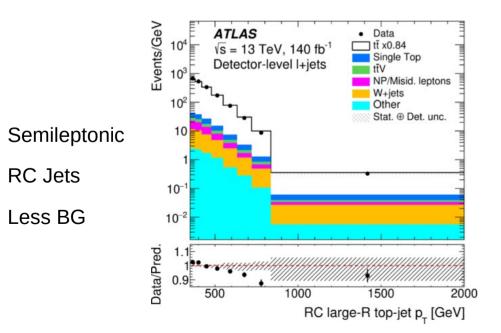
# Semileptonic vs fully hadronic events

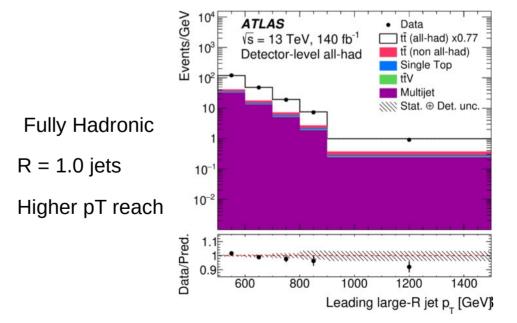
Analysis performed in the cleaner semileptonic channel, and in the fully hadronic one, to test BG modelling and go to higher pT.

To minimise bias, jets are selected opposite to the lepton or to a top-tagged hadronic jet.

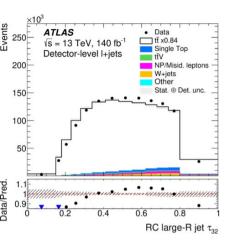
For semileptonic events, top jet is obtained by reclustering (RC) R=0.4 jets, hadronic events use R = 1 jets.

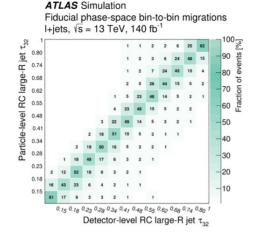
Substructure variables extracted from tracks in jets

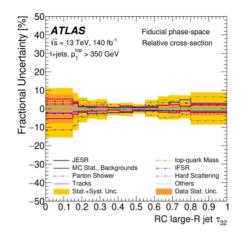


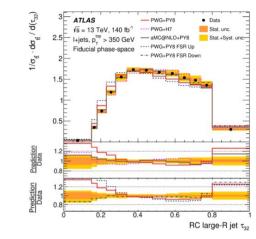


# Substructure variables: the $\tau_{32}$ example

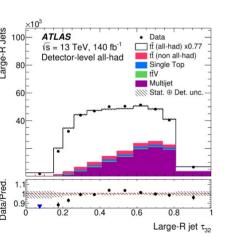






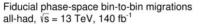


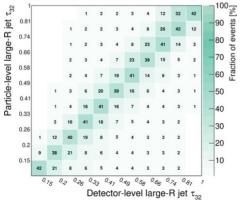
#### **Detector level**



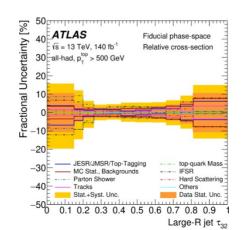
#### Transfer matrix

#### ATLAS Simulation

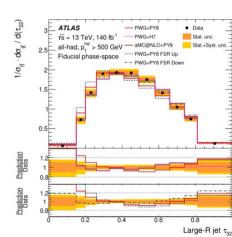




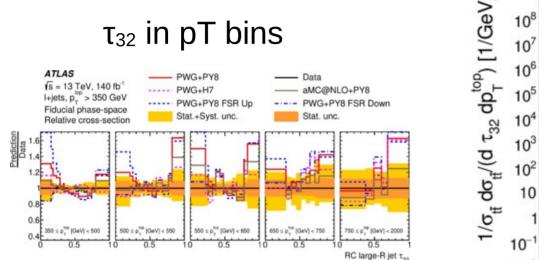
#### Syst. Uncertainties



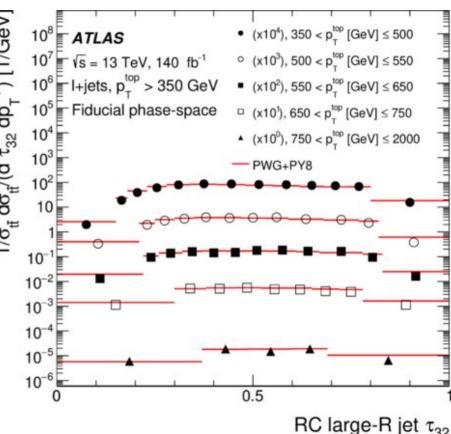
#### Particle level



# pT dependence



Similar results for mass dependence and for all other variables.



# Quantitative model comparison

	PWG+PY8		PWG+H7		AMC@NLO+PY8		PWG+PY8(FSR Up)		PWG+PY8(FSR Down)	
Observable	$\chi^2/\text{NDF}$	p-value	$\chi^2/\text{NDF}$	p-value	$\chi^2/\text{NDF}$	<i>p</i> -value	$\chi^2/\text{NDF}$	<i>p</i> -value	$\chi^2/\text{NDF}$	<i>p</i> -value
$\tau_{32}$	54/12	< 0.01	19/12	0.09	15/12	0.24	165/12	< 0.01	40/12	< 0.01
$\tau_{21}$	14/14	0.41	7/14	0.92	16/14	0.32	42/14	< 0.01	8/14	0.91
$ au_3$	36/11	< 0.01	42/11	< 0.01	14/11	0.23	130/11	< 0.01	23/11	0.02
ECF2	25/18	0.13	13/18	0.78	15/18	0.69	31/18	0.03	24/18	0.14
$D_2$	20/16	0.20	17/16	0.39	20/16	0.20	37/16	< 0.01	15/16	0.49
$C_3$	11/14	0.65	6/14	0.97	3/14	1.00	35/14	< 0.01	3/14	1.00
$p_{\mathrm{T}}^{\mathrm{d},*}$	27/12	< 0.01	10/12	0.58	11/12	0.53	56/12	< 0.01	24/12	0.02
LHA	14/17	0.65	9/17	0.92	20/17	0.29	14/17	0.69	19/17	0.32
$D_2$ vs. $m^{top}$	61/42	0.03	62/42	0.02	59/42	0.05	118/42	< 0.01	44/42	0.37
$D_2$ vs. $p_{\rm T}^{\rm top}$	71/56	0.08	68/56	0.13	70/56	0.11	107/56	< 0.01	93/56	< 0.01
$\tau_{32}$ vs. $m^{top}$	153/42	< 0.01	72/42	< 0.01	56/42	0.07	413/42	< 0.01	77/42	< 0.01
$ au_{32}$ vs. $p_{\mathrm{T}}^{\mathrm{top}}$	153/50	< 0.01	103/50	< 0.01	57/50	0.23	360/50	< 0.01	114/50	< 0.01

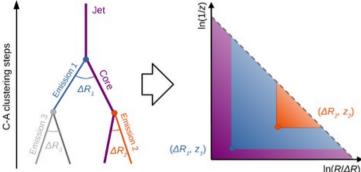
#### Semi-leptonic channel

Similar behaviour for all-hadronic channel.

Overall, PWG+Py8, especially with FSR changes and differential distributions, have small p-values

# Measuring the Lund Jet Plane





The Lund Diagram ([Z. Phys. C 43, 625–632 (1989)] is an abstract representation of the jet formation, where each branching is a point in a  $ln(\Delta R/R)$ , ln(1/z), ln(kT)space, usually projected in a 2D plane

(notice, ATLAS uses ln(1/z) CMS ln(kT)

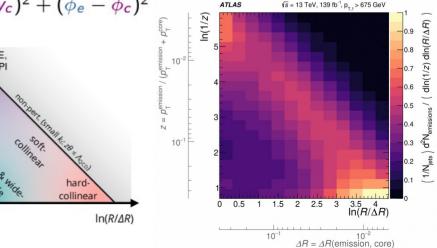
n(1/z)

$$z=rac{p_T^e}{p_T^e+p_T^c}; \qquad \Delta R=\sqrt{(y_e-y_c)^2+(\phi_e-\phi_T)^2}$$

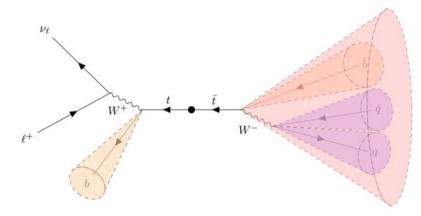
Experimentally, it can be reconstructed by running backwards the Cambridge /Aachen clustering algorithm,.

Each region of the plane corresponds to a different phase of jet evolution, allowing to disentangle them and analyse them separately.

Charged particles LJP already measured by ATLAS for dijet events (Phys. Rev. Lett. 124, 222002 )



# Lund Jet Plane for Top and W jets Semi-leptonic events, measuring the charged LJP on the hadronic side, reconstructed as a R = 1.0 jet



# To avoid bias, no jet tagging applied

Is the R = 1.0 jet a top or W candidate?

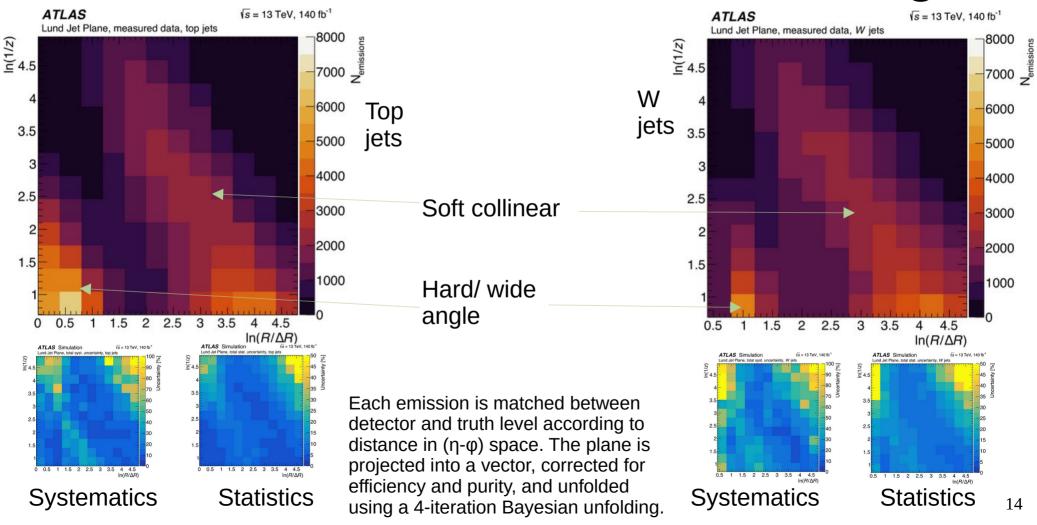
#### "top jet" selection

- $\Delta R(lepton, ljet) > 2.3$ ,
- $m_{ljet} > 140 \,\mathrm{GeV}$ ,
- +1 b-tagged R = 0.4 jet,  $\Delta R(bjet_2, ljet) < 1.0.$

#### 'W jet" selection

- $\Delta R(lepton, ljet) > 2.3$ ,
- $60 \, {
  m GeV} < m_{ljet} < 100 \, {
  m GeV}$ ,

# Detector-level LJP and unfolding



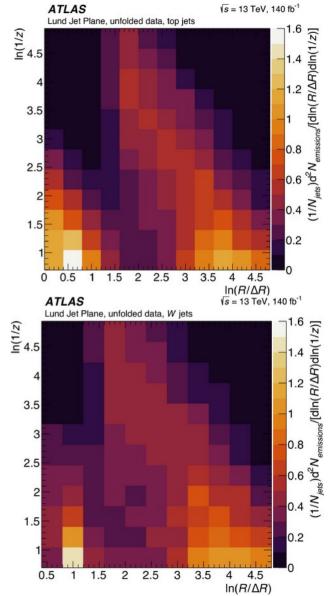
#### Systematic uncertainties and unfolded results

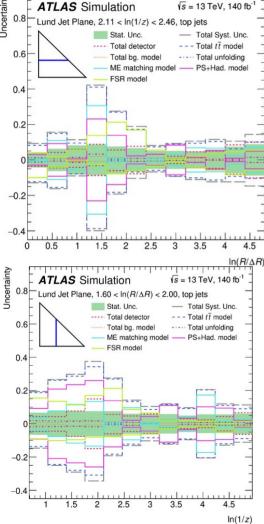
Dominated by modelling of the tt system and Parton Shower, obtained comparing different MC in the unfolding.



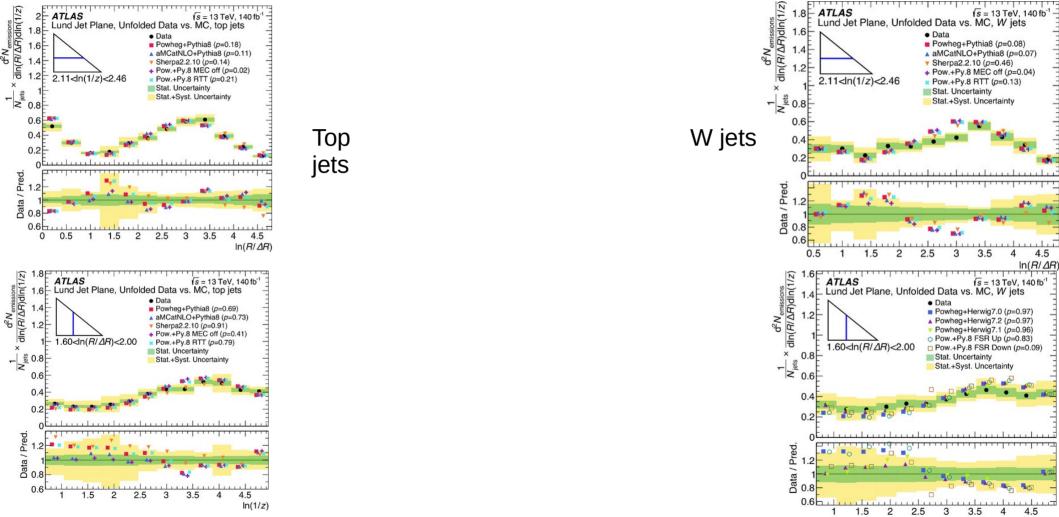
W

jets





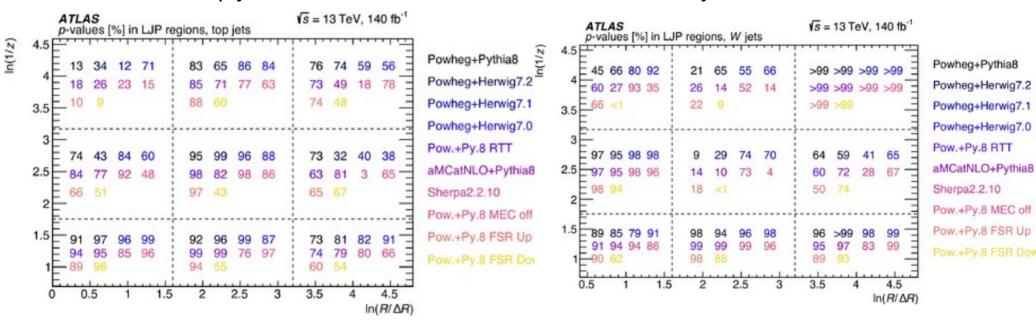
# Selected slices of the planes



 $\ln(1/z)$ 

# P-values for different models in different zones of the plane





Usually good agreement for most models, some small p-values especially for W jets

Top jets

# Conclusions

- Always measure something before using it
- Apart for its use for tagging, substructure in top jets is complex and can teach a lot about QCD in various regimes



- Remarkable agreement for most of models and observables, but some corner of phasespace still to improve
- Ideal laboratory to study tuning and matching