Time dispersion of the SPE signal

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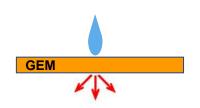


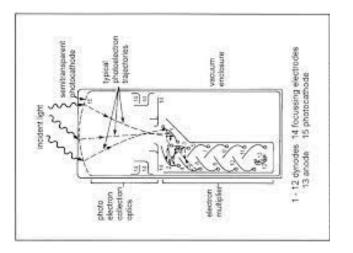
Previously...

• The proposed simulation is based on a sum of SPE:

Dispersions:

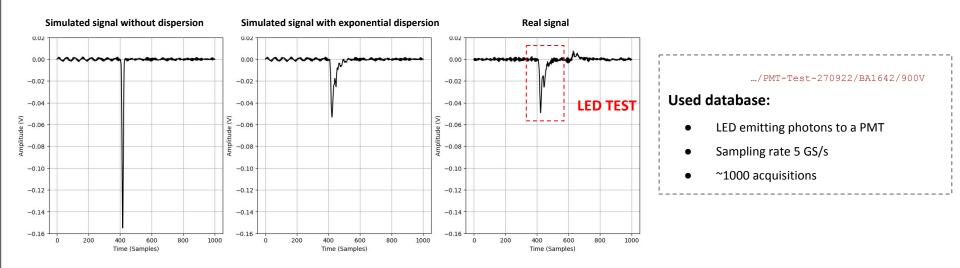
- **PMT** (electron multiplication process)
- TPC electron longitudinal diffusion (z dependent)
- GEM time response (light production process)





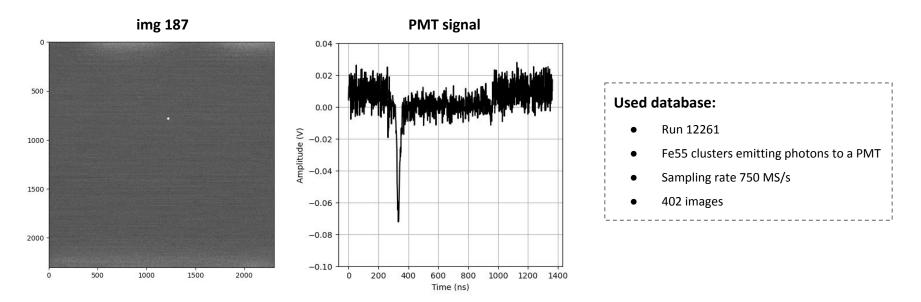
Previously...

• Time dispersion of the SPE signal characterization:



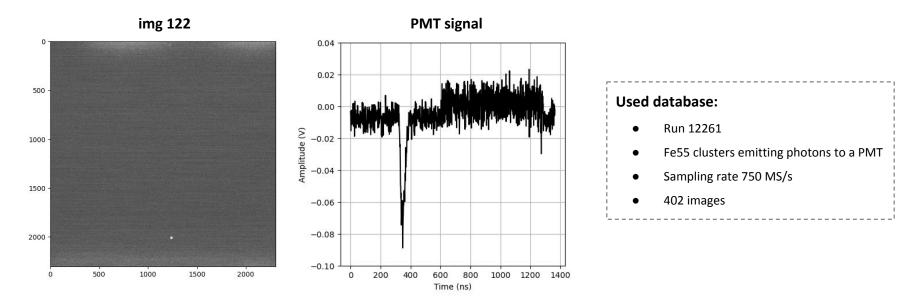
Fe55 database

Images with one cluster: [1, 13, 38, 57, 74, 83, 118, 122, 143, 147, 187, 212, 225, 273, 290, 301, 334, 362, 374]

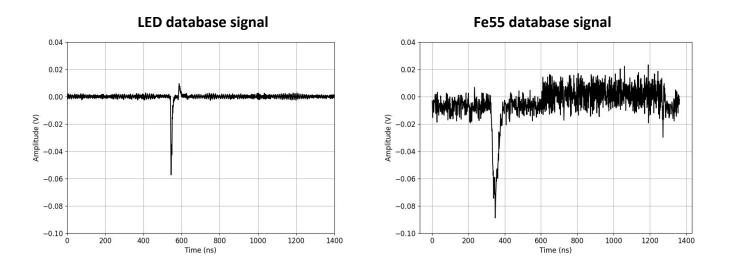


Fe55 database

Images with one cluster: [1, 13, 38, 57, 74, 83, 118, 122, 143, 147, 187, 212, 225, 273, 290, 301, 334, 362, 374]



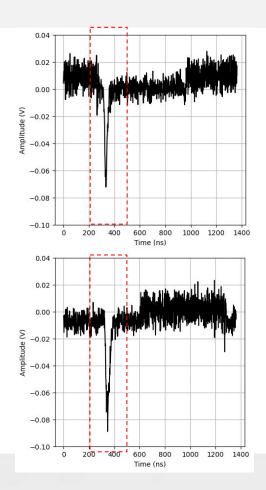
Comparison between LED and Fe55 database



• We need to characterize the time dispersion of the SPE signal

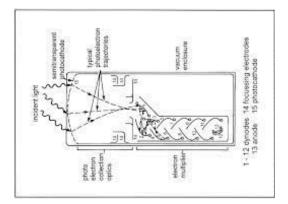
To start characterizing the dispersion, we can do a signal analysis based on:

- FWHM
- Peak
- Rise Time
- MSE

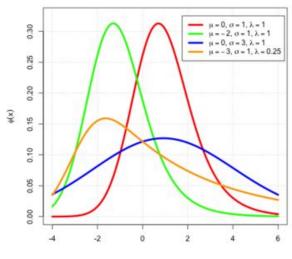


Approach idea: Exponentially modified Gaussian distribution

Before: Exponential distribution (LED database)





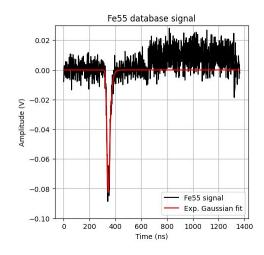


SPE time dispersion

Finding the best Exp. Gaussian distribution parameters

• We can fit the signals from the Fe55 database with a Exp. Gaussian model

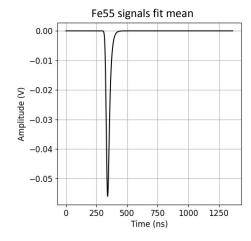
Example:



- FWHM = 27.49 ns
- Peak = -0.083 V
- Rise Time = 16 ns

Finding the best Exp. Gaussian distribution parameters

- Fitting each signal from the Fe55 database with a Exp. Gaussian fit
 - Get the parameters of the signals fit mean

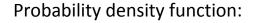


- FWHM = 29.64 ns
- Peak = -0.056 V
- Rise Time = 17.33 ns

Exp. Gaussian fit parameters:

- σ = 8.87 ns
- $\lambda = 0.068$

Exponentially modified Gaussian distribution

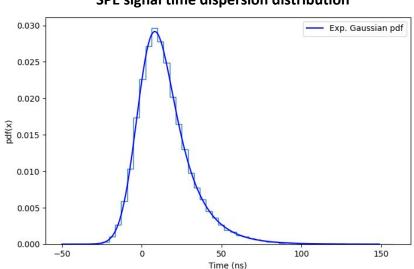


$$f(x;\mu,\sigma,\lambda) = rac{\lambda}{2} e^{rac{\lambda}{2}(2\mu+\lambda\sigma^2-2x)} \operatorname{erfc}igg(rac{\mu+\lambda\sigma^2-x}{\sqrt{2}\sigma}igg)$$

 $\mu = 0$

 σ = 8.87 ns

 $\lambda = 0.068$

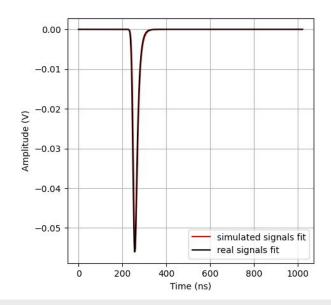


SPE signal time dispersion distribution

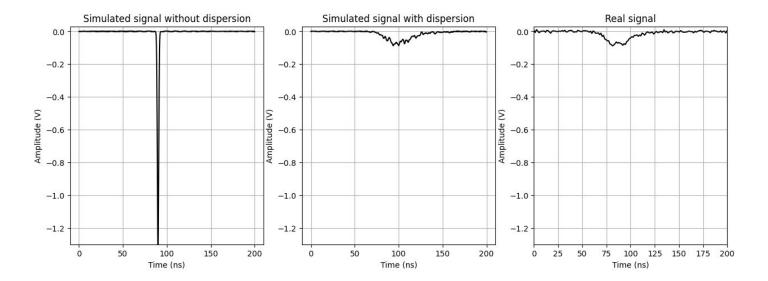
Simulation results

- Get the parameters of the simulated signals fit mean and compare with the real data
- For the minimum value of MSE:
 - N = 372.8 ± 8.2 photoelectrons
 - $\circ \Delta$ FWHM = 0.15 ±0.51 ns
 - \odot $\Delta \mathtt{Peak}$ =0.00076 ± 0.00113 V
 - $\circ \Delta$ Rise Time = 0.00 ± 0.84 ns
 - Simulated signals fit rise time = 17.33± 0.84 ns
 - Real signals fit rise time = 17.33 ns

 \circ MSE = 0.000001091 ± 0.00000067

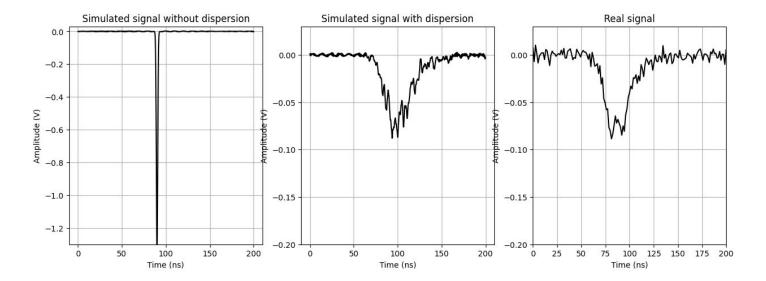


Comparison between simulated and real signal



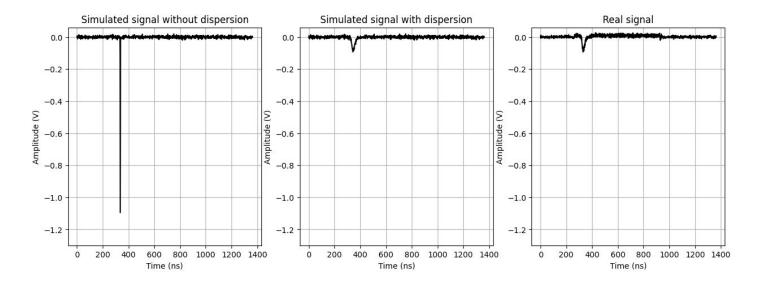
Simulating with the LED database noise (~200 ns), for 500 photoelectrons

Comparison between simulated and real signal



Simulating with the LED database noise (~200 ns), for 500 photoelectrons

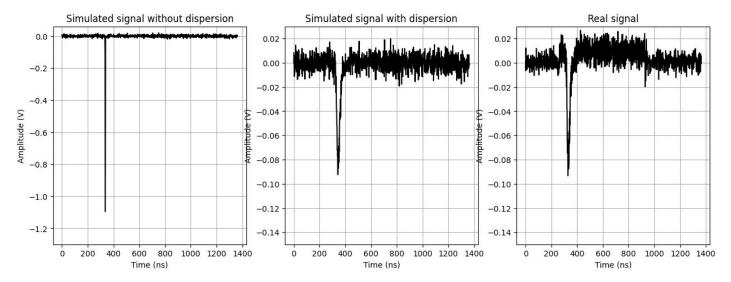
Comparison between simulated and real signal



Simulating with the Fe55 database noise (~1400 ns), for 500 photoelectrons

Comparison between simulated and real signal

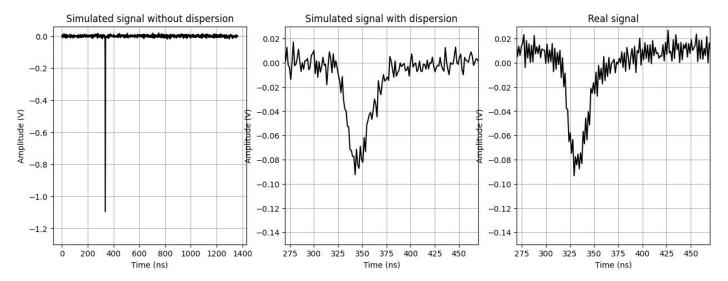
Changing amplitude scale



Simulating with the Fe55 database noise (~1400 ns), for 500 photoelectrons

Comparison between simulated and real signal

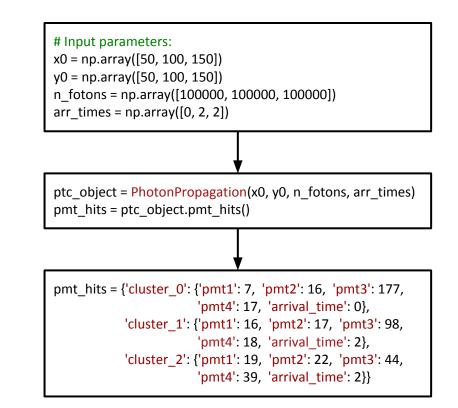
Changing amplitude and time scale



Simulating with the Fe55 database noise (~1400 ns), for 500 photoelectrons

Example

- A particle with 3 clusters and 100000 photons each, was simulated in the following GEM positions:
 - Cluster 1: x = y = 50
 - Cluster 2: x = y = 100
 - Cluster 3: x = y = 150
- The PMTs are in a distance z = 134 from the GEM
- Each cluster arrives 2 ns after the other.

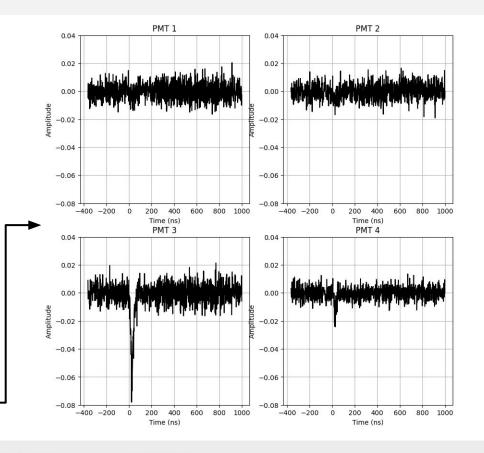


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Example

 Using a PMT quantum efficiency of 95%, the particle previously simulated in the photon generation part produced the following signal in PMTs:

<pre>pmt_hits = {'cluster_0': {'pmt1': 7, 'pmt2': 16, 'pmt3': 177,</pre>	
'pmt4': 39, 'arrival_time': 2}}	
ptc_simulation = <mark>SignalSimulation</mark> (pmt_hits) pmts_signal = ptc_simulation.simulated_signals()	$\left \right $



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Conclusions

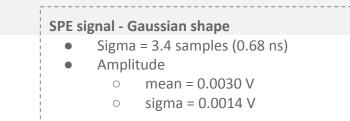
Conclusions

- The dispersion analysis includes the PMT and TPC electron longitudinal diffusion dispersions (not considering the z dependence)
- The simulation code is available on github (https://github.com/luangmc/pmt_simulation)
- Next steps:
 - Finish noise characterization for Fe55 database
 - We have done for the LED database

Proposed simulation model

Sum of SPE signals

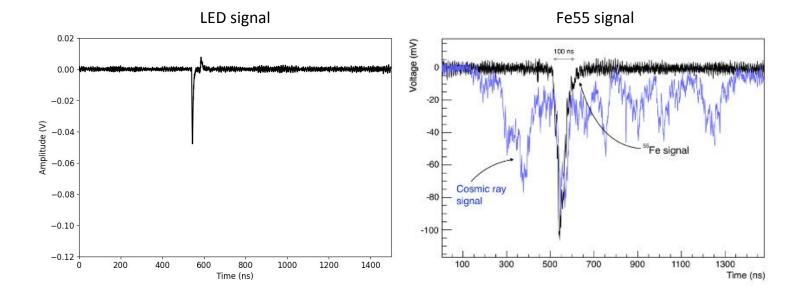
SPE characterization:



Sigma of the gaussian fits 60 **Typical SPE signal** 40 → width of the SPE signal waveform 50 0.003 signal - sin1 - sin2 R2 = 0.94048 amp mean sigma 0.002 gauss 7.07684e-07 NOI = 39.46403, -0.00094, 0.00038 10.054 3.442 0.534 1PE =8.7793 -0.00296, 0.00138 0.001 30 40 2PE =2.16022, -0.00592, 0.00222 0.000 Ξ 3PE =-0.79727, -0.0088799999999999999, -0.00756 æ -0.001 Events 20 events 05 -0.002 -0.003 -0.00420 -0.005 10 -0.006 10 10 20 30 50 60 40 Time (samples) -0.010 -0.008 -0.004 -0.002 0.000 0.002 -0.006 sigma (sample) Peak amplitude (V)

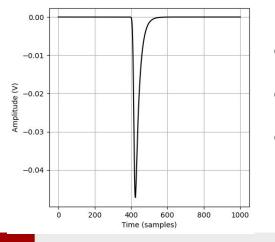
Peak amplitude distribution

Comparison between LED and Fe55 database signals



Finding the best exponential parameter alpha $\implies e^{-\alpha x}$

- Selecting only signals from the dataset with peak mean of -0.05V
 - Fit each signal with a expgaussian and get the fit parameters mean
 - Create a fit with these values



- FWHM = 26.862 Samples
- Peak = -0.0472 V
- Rise Time = 11 Samples

The simulation results will be compared to this fit