

INDRA at high energy: the GSI data legacy

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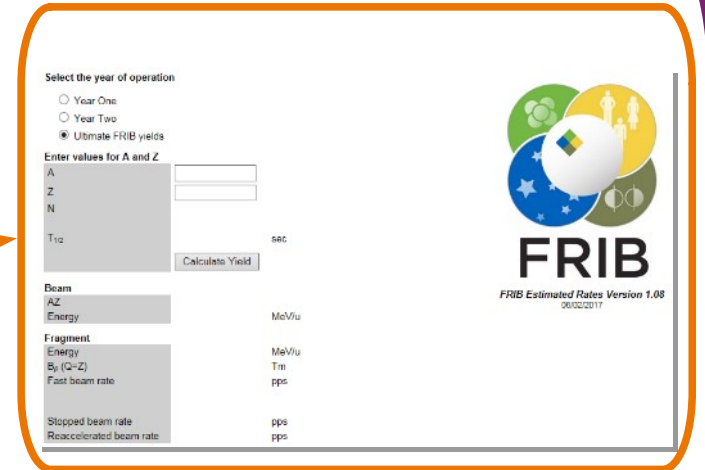
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FRIB : Facility for Rare Isotope Beams at MSU

- FRIB facility (see also G. Verde talk) :
 - FRIB200 (now) → FRIB400(> 2027 ???) ;
 - Radioactive beams at $E/A > 100$ MeV/u (but also below) ;
 - Info concerning beams available at FRIB :
 - <https://groups.nsl.msu.edu/frib/rates/fribrates.html>
 - https://groups.nsl.msu.edu/frib/rates/FRIB_rates_readme_2_10.pdf
- Physics cases at FRIB :
 - Supra-saturation density ;
 - K. Brown experiment (approved at FRIB-PAC3 in Feb. 2023) :
 - $^{56,70}\text{Ni} + ^{58,64}\text{Ni}$ @ 200 MeV/nuc ;
 - Energy spectra of neutrons and LCP, single/double n-p ratio, flow study.
- Future proposal :
 - Use a bigger system ? Sn+Sn@180AMeV/nucleon ;
 - Coupling of FAZIA/INDRA and existing detectors (HIRA, LANA,etc...)
 - **What can we expect from a multi-array like INDRA ?**



The screenshot shows a web-based calculator for FRIB beam rates. It includes a 'Select the year of operation' section with radio buttons for 'Year One', 'Year Two', and 'Ultimate FRIB yields'. Below this is an 'Enter values for A and Z' section with input fields for A, Z, N, and T_{1/2} (sec), and a 'Calculate Yield' button. The 'Beam' section has input fields for AZ and Energy (MeV/u). The 'Fragment' section has input fields for Energy (MeV/u), B_f (Q-Z), and Fast beam rate (pps). The output section shows 'Stopped beam rate' and 'Reaccelerated beam rate' in pps. The FRIB logo and 'FRIB Estimated Rates Version 1.08 08/02/2017' are also visible.

Context : INDRA@GSI



Summary of INDRA 4th campaign (Available at CCLyon)

Proj	Targ	E*/A MeV/u	#Runs
¹⁹⁷ Au	¹⁹⁷ Au	150	54
¹⁹⁷ Au	¹⁹⁷ Au	100	100
¹⁹⁷ Au	¹⁹⁷ Au	80	30
¹⁹⁷ Au	¹⁹⁷ Au	60	43
¹⁹⁷ Au	¹⁹⁷ Au	50	8
¹⁹⁷ Au	¹⁹⁷ Au	40	31

Au+Au

Proj	Targ	E*/A MeV/u	#Runs
¹²⁴ Xe	¹²⁴ Xe	250	14
¹²⁴ Xe	¹²⁴ Sn	150	20
¹²⁹ Xe	¹²⁴ Sn	150	21
¹²⁴ Xe	¹¹² Sn	100	36
¹²⁴ Xe	¹²⁴ Sn	100	42
¹²⁹ Xe	¹¹² Sn	100	43
¹²⁹ Xe	¹²⁴ Sn	100	58
¹²⁹ Xe	¹²⁴ Sn	80	29
¹²⁹ Xe	¹²⁴ Sn	65	27
¹²⁹ Xe	^{nat} Sn	50	12

Xe+Sn

≠ initial
N/Z

Proj	Targ	E*/A MeV/u	#Runs
¹² C	¹⁹⁷ Au	1800	23
¹² C	¹⁹⁷ Au	1000	63
¹² C	¹⁹⁷ Au	600	76
¹² C	¹⁹⁷ Au	300	60
¹² C	¹⁹⁷ Au	95	25
¹² C	¹⁹⁷ Au	30	6
¹² C	²³⁸ U	1000	16
¹² C	¹¹² Sn	1000	7
¹² C	¹¹² Sn	600	15
¹² C	¹²⁴ Sn	600	13
¹² C	¹¹² Sn	300	35
¹² C	¹²⁴ Sn	300	31
¹² C	¹¹² Sn	95	6

¹²C proj

Overview of Xe+Sn data

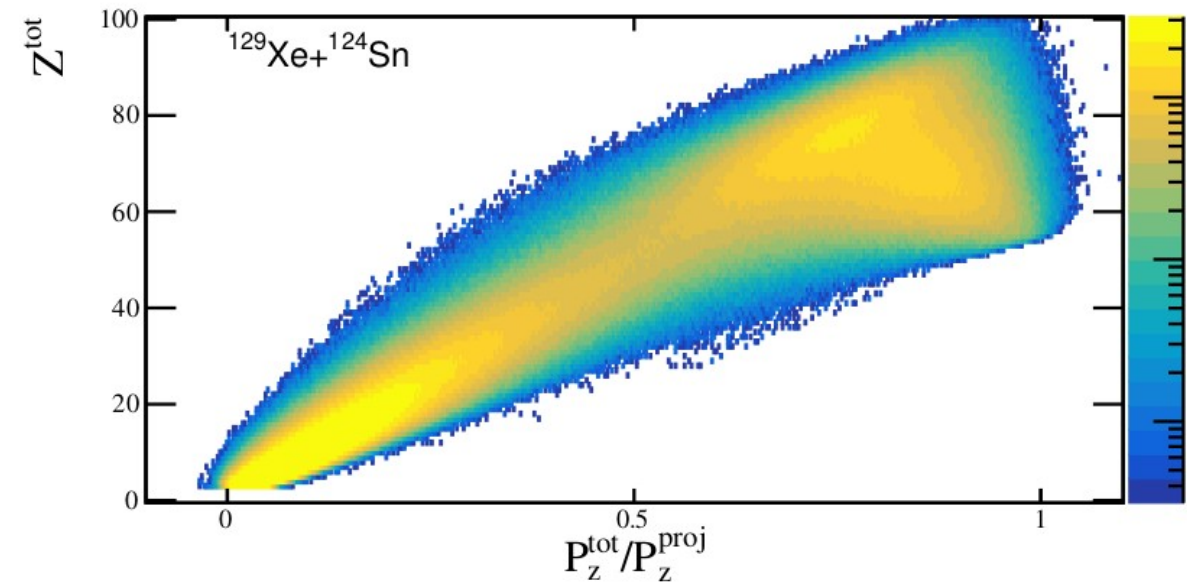
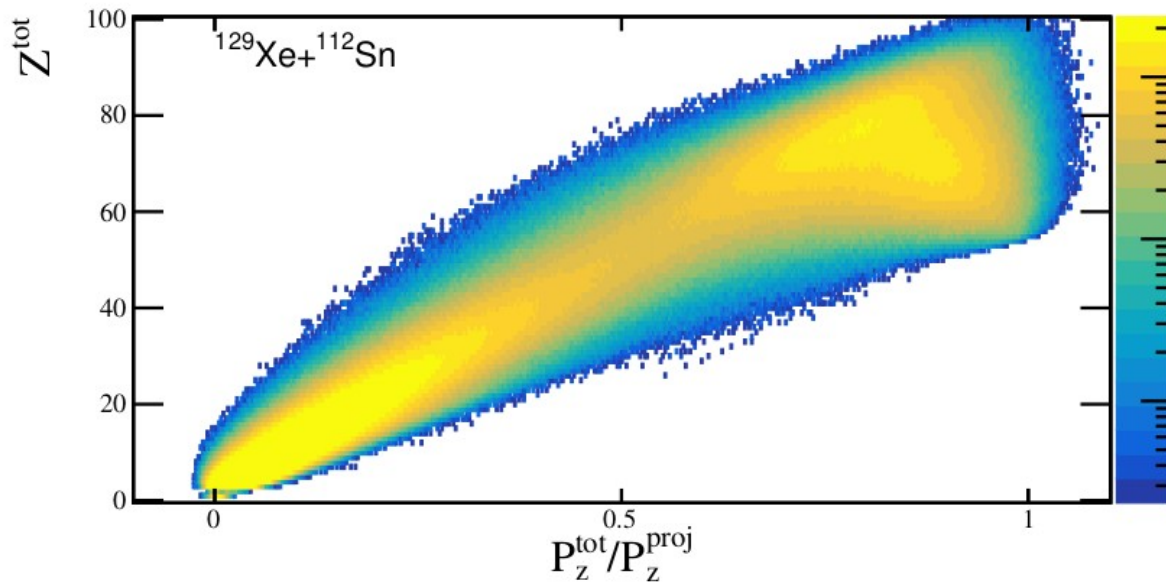
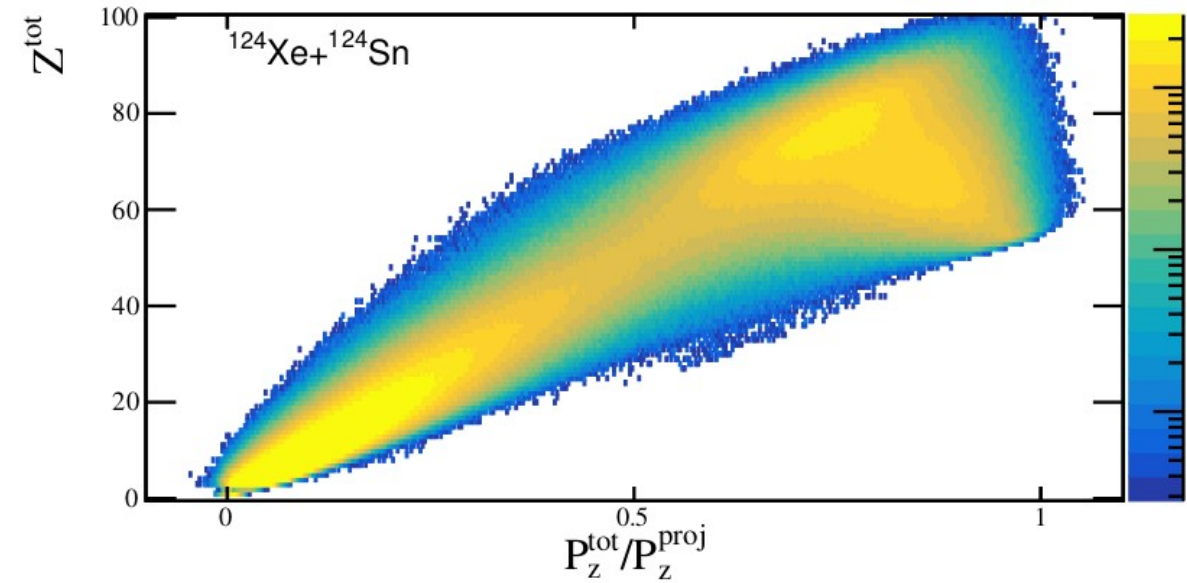
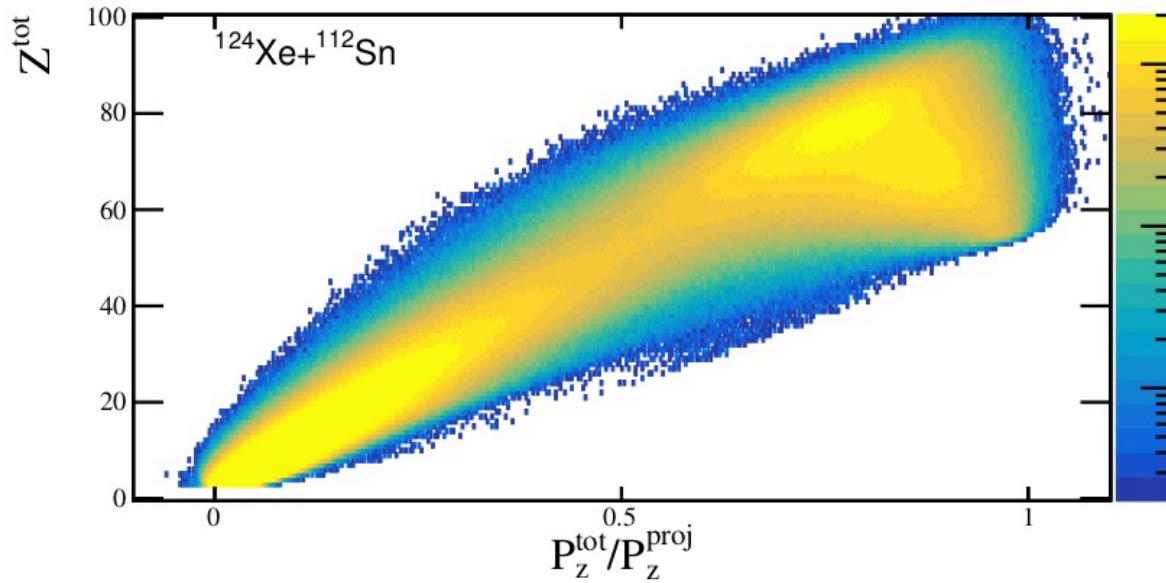
- For this work, we will focus on $^{129,124}\text{Xe} + ^{112,124}\text{Sn}$ INDRA@GSI data at 100 MeV/u
- In the context of a future experiment at FRIB, we will present :
 - An overview of global observables ;
 - A (preliminary) study of the directed and elliptic flow.

Proj	Targ	E*/A MeV/u	N/Z	#Runs	#Evts
^{124}Xe	^{112}Sn	100	1.269	36	8962246
^{124}Xe	^{124}Sn	100	1.385	42	11787816
^{129}Xe	^{112}Sn	100	1.317	43	11153195
^{129}Xe	^{124}Sn	100	1.433	58	7847850

NOTE : Global trigger of $M > 3$

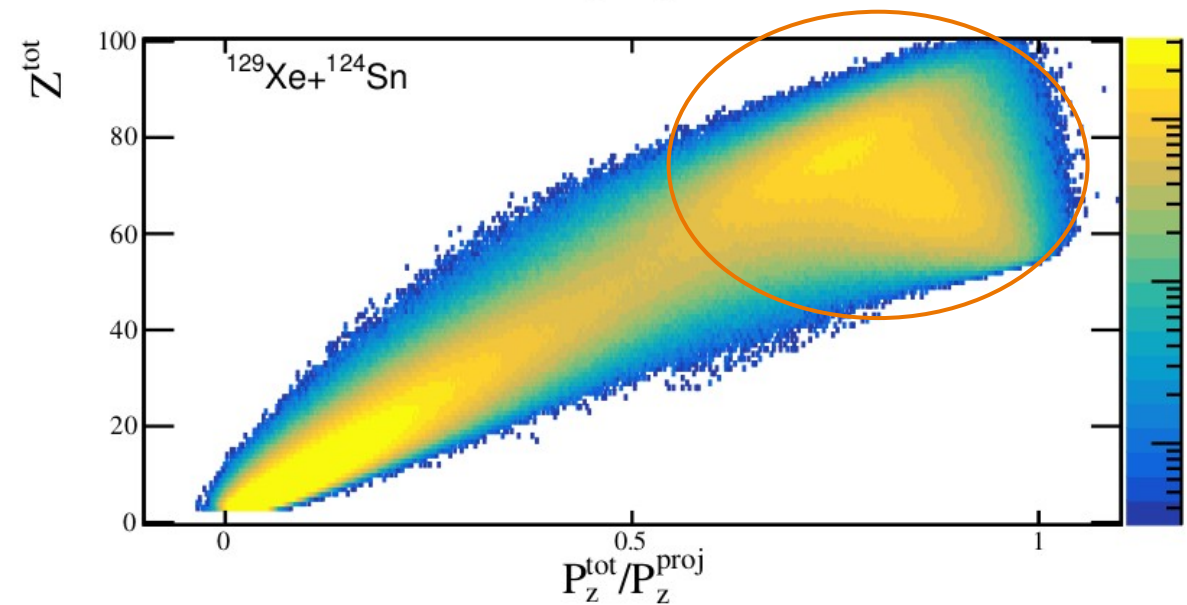
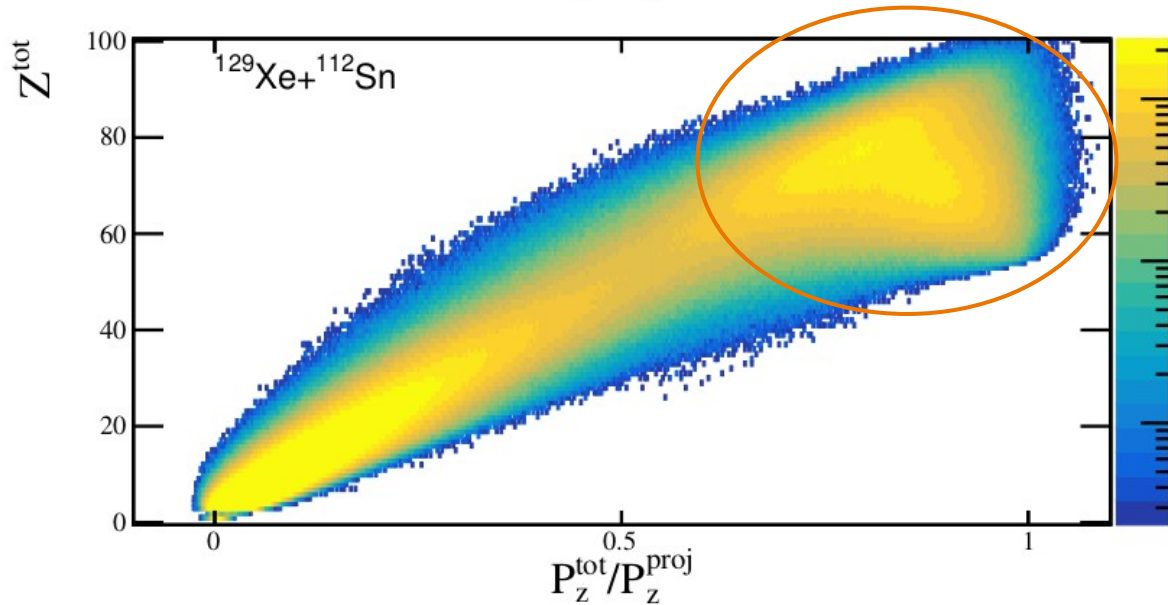
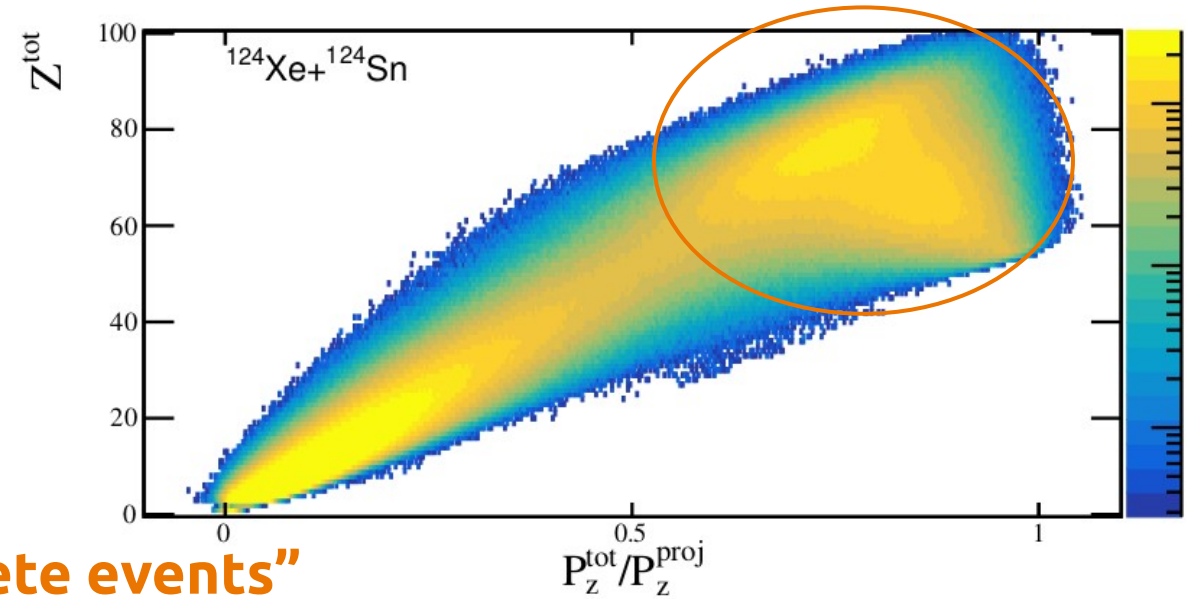
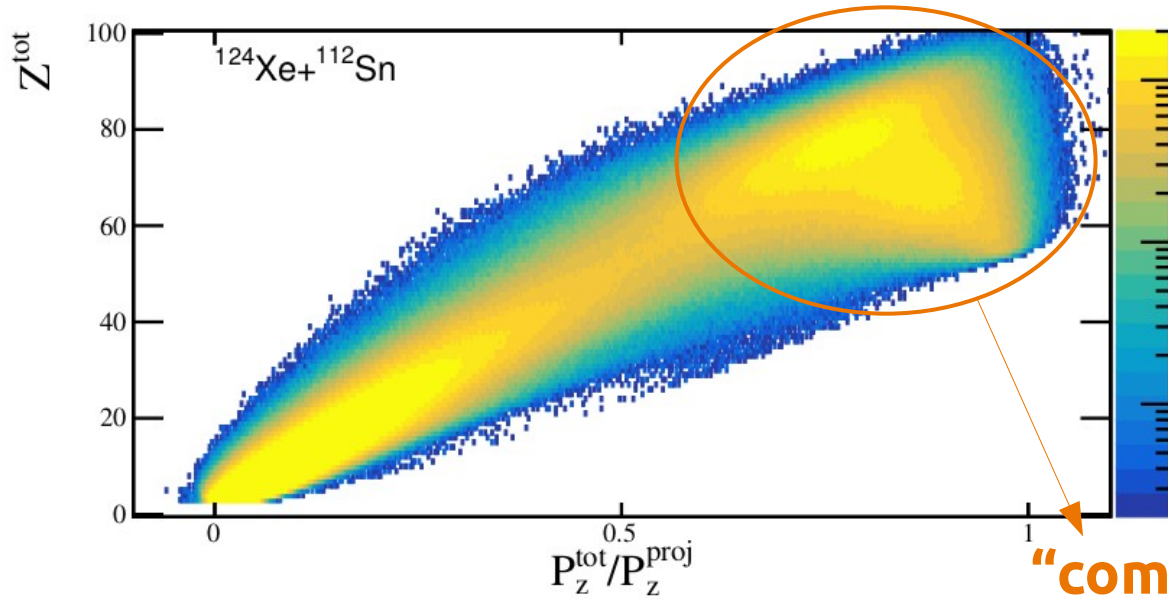
Completeness

$$Z^{tot} = \sum_i Z_i \quad P_z^{tot} = \sum_i Z_i V_z^i$$



Completeness

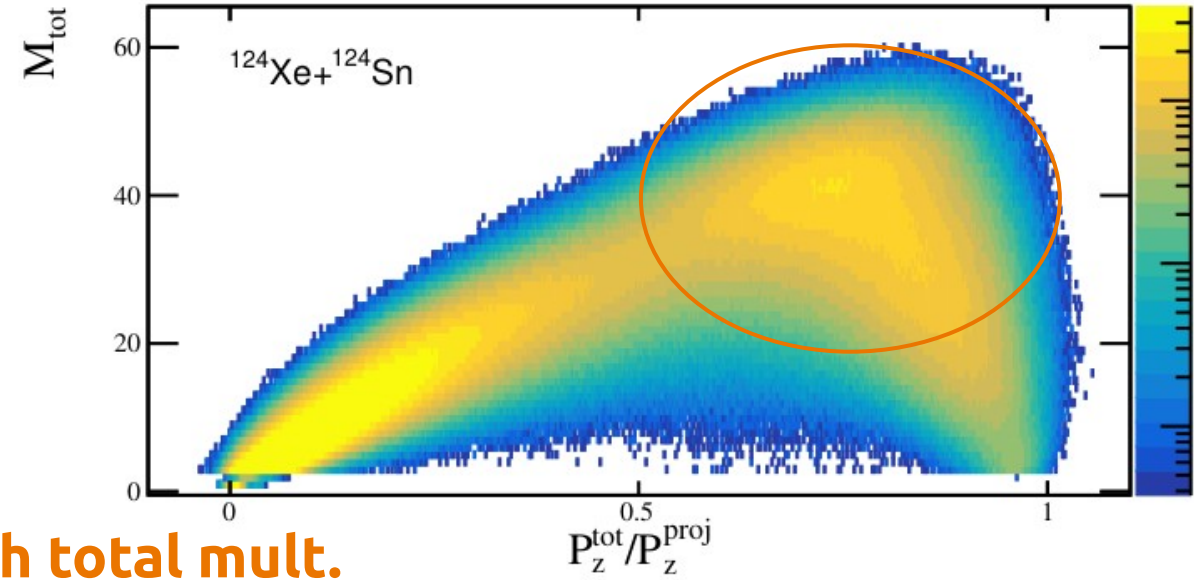
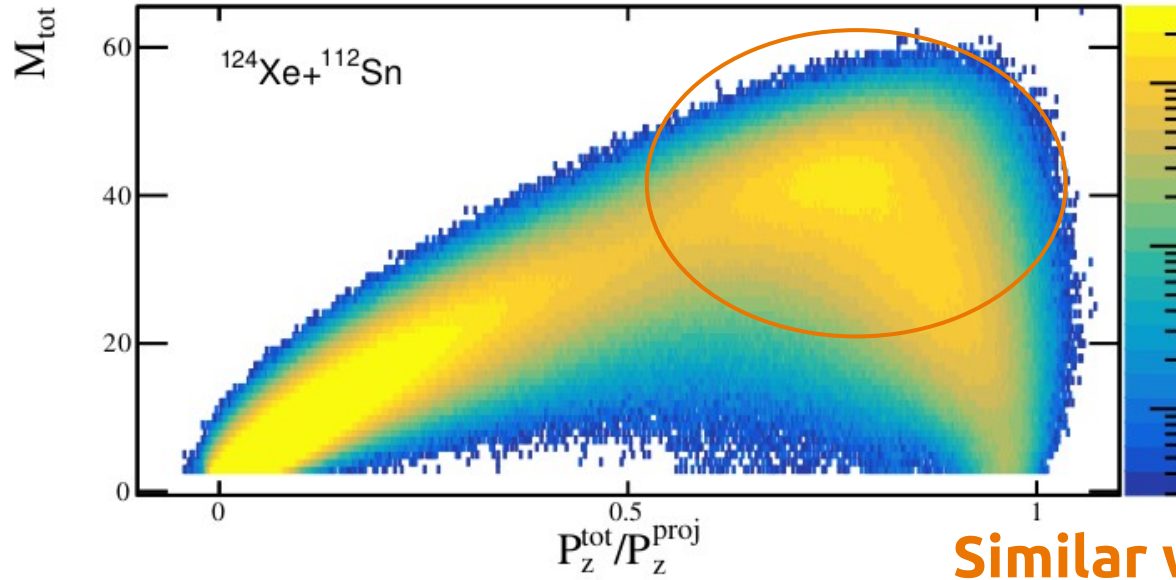
$$Z^{tot} = \sum_i Z_i \quad P_z^{tot} = \sum_i Z_i V_z^i$$



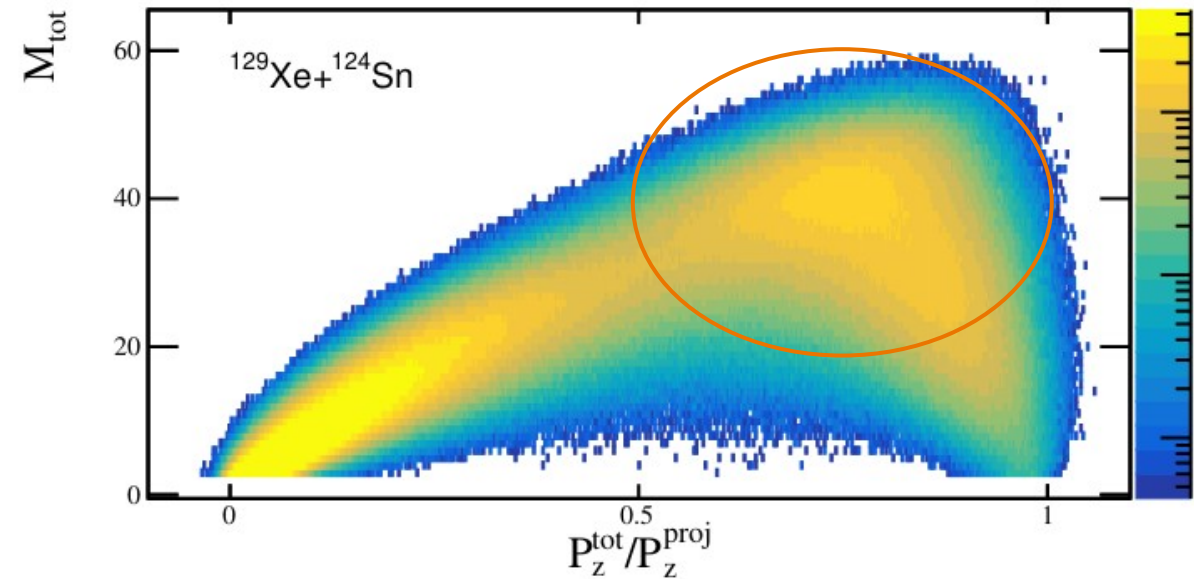
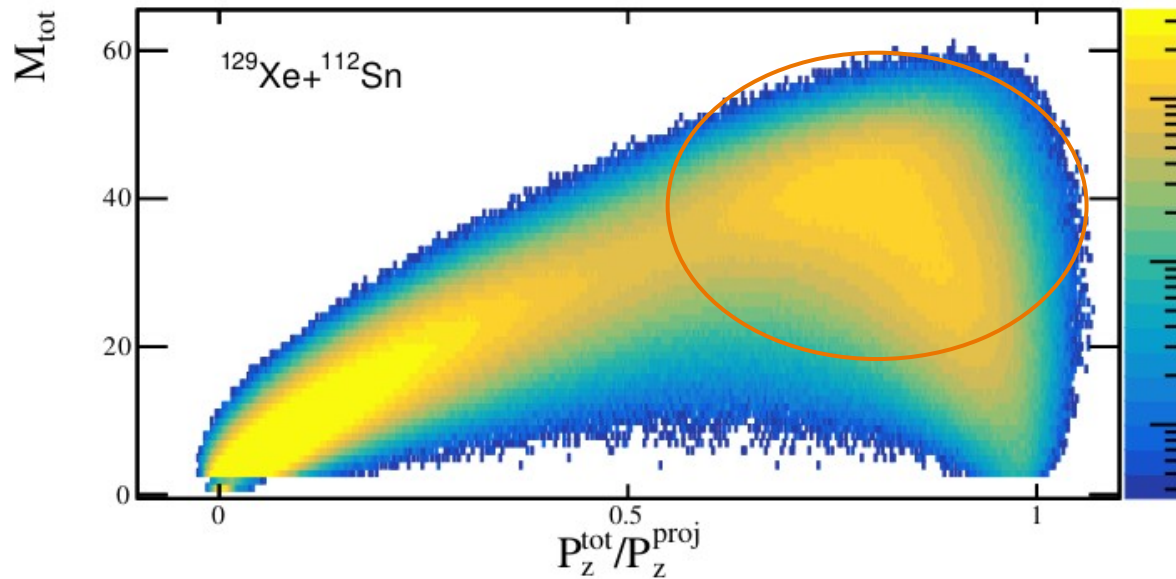
"complete events"

Completeness

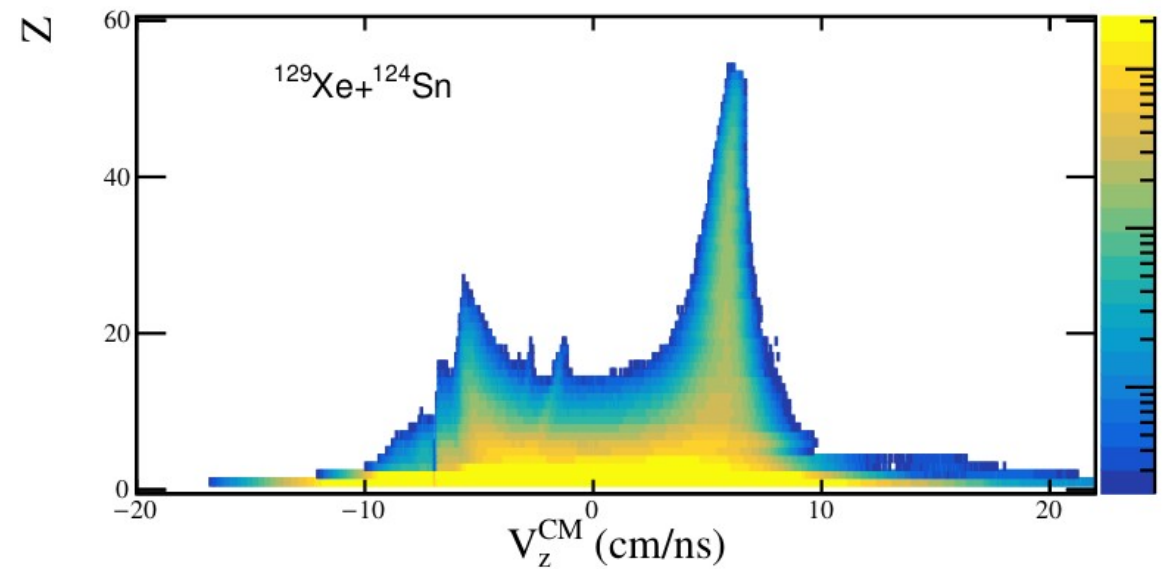
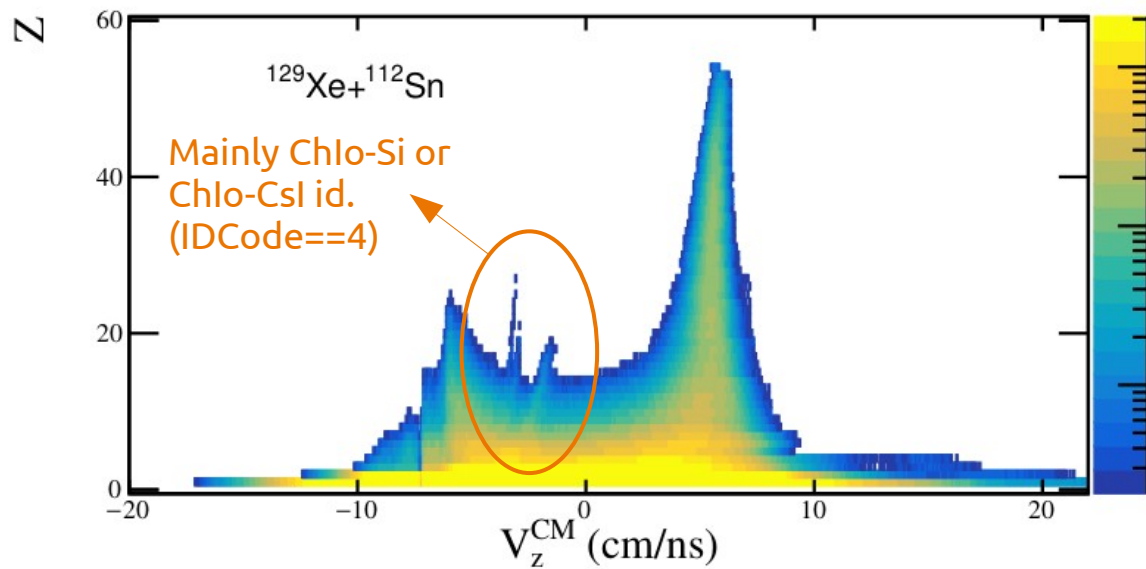
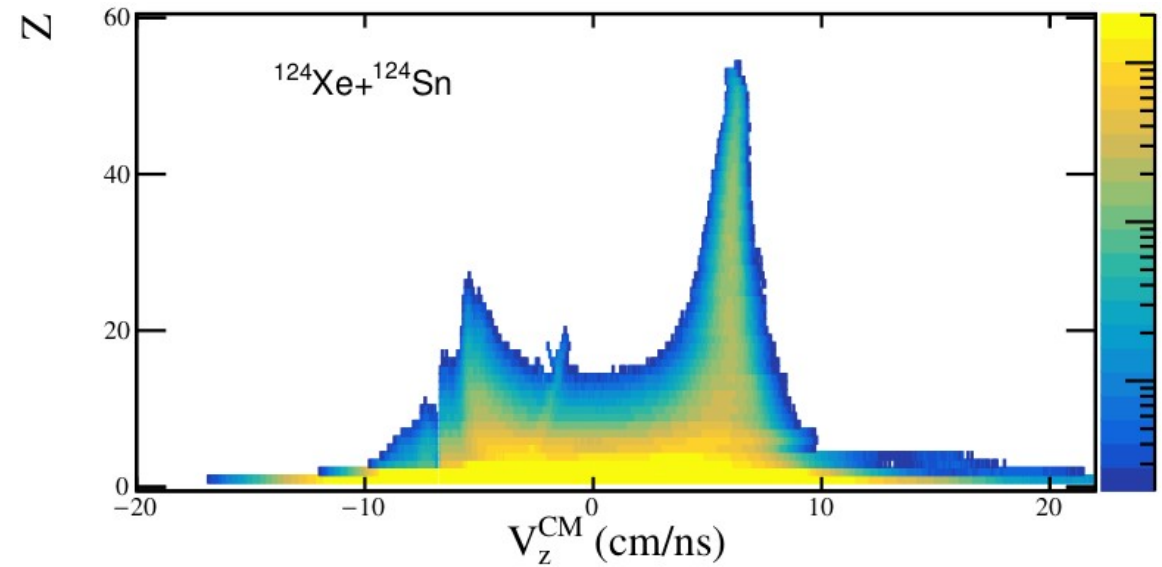
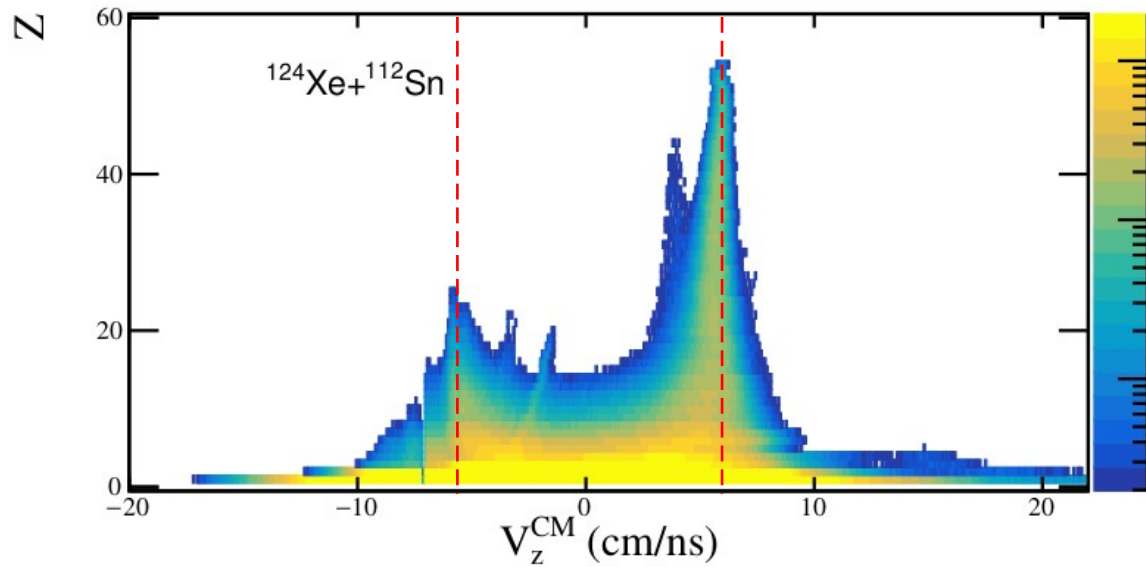
$$P_z^{tot} = \sum_i Z_i V_z^i$$



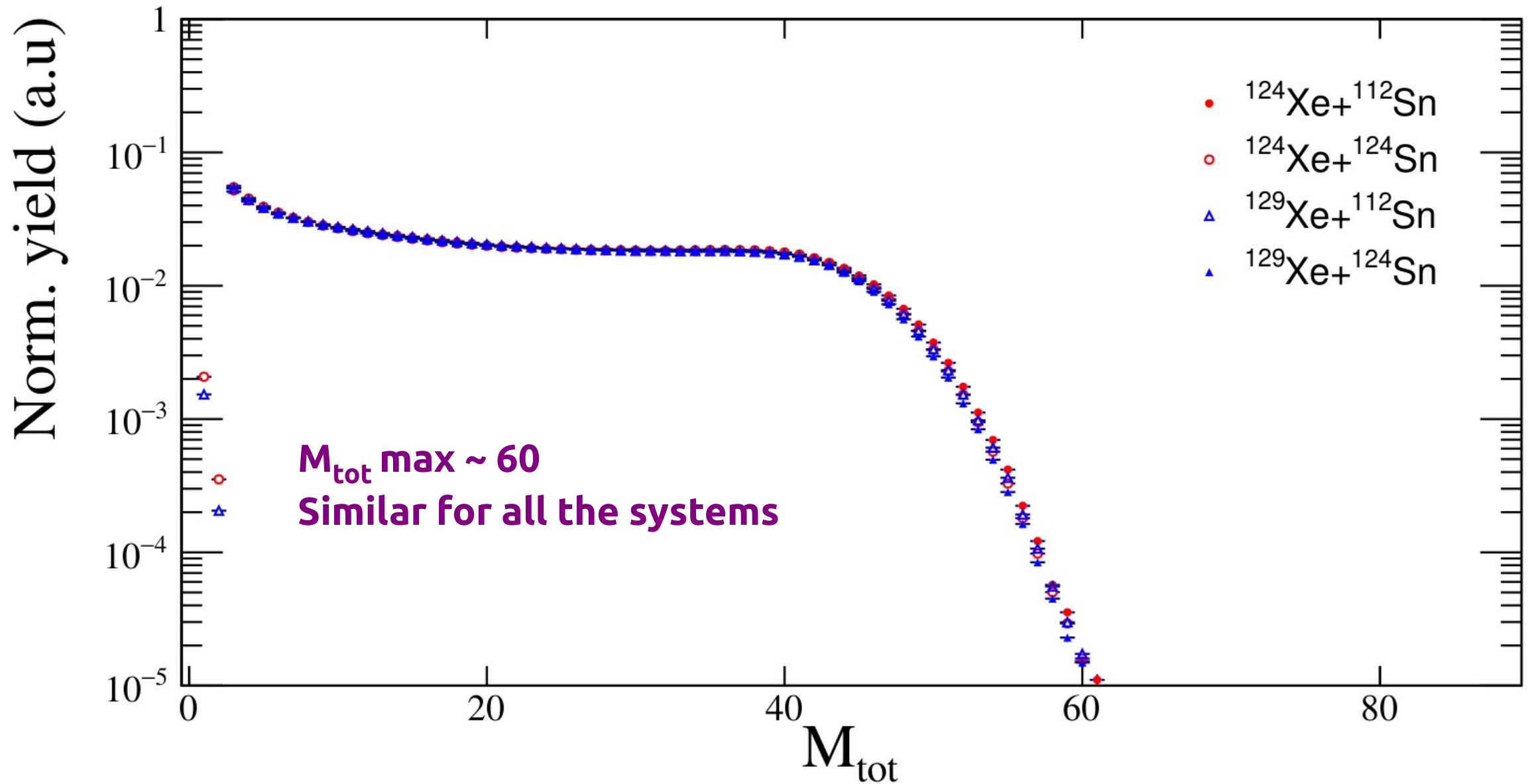
Similar with total mult.



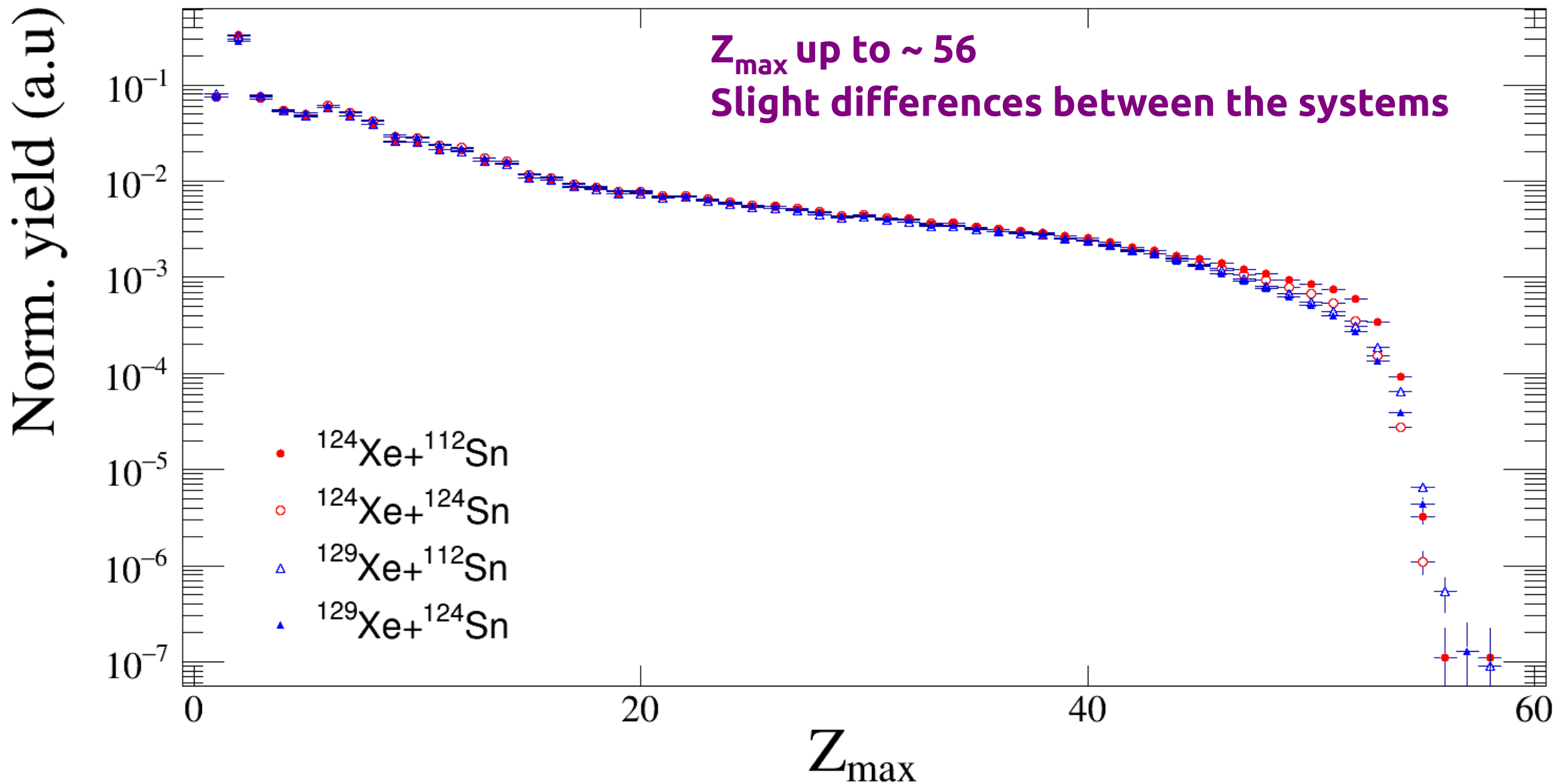
Topology



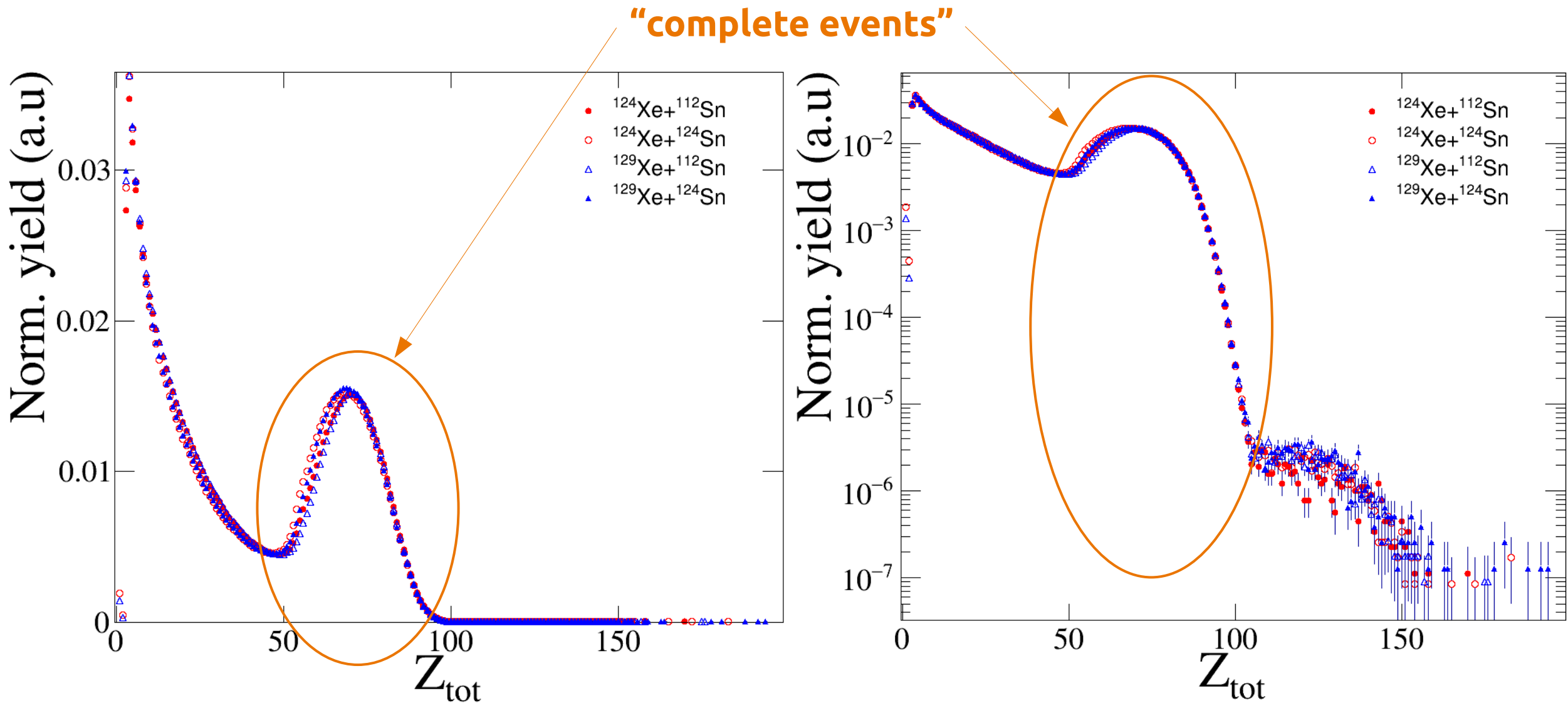
Global observable : M_{tot}



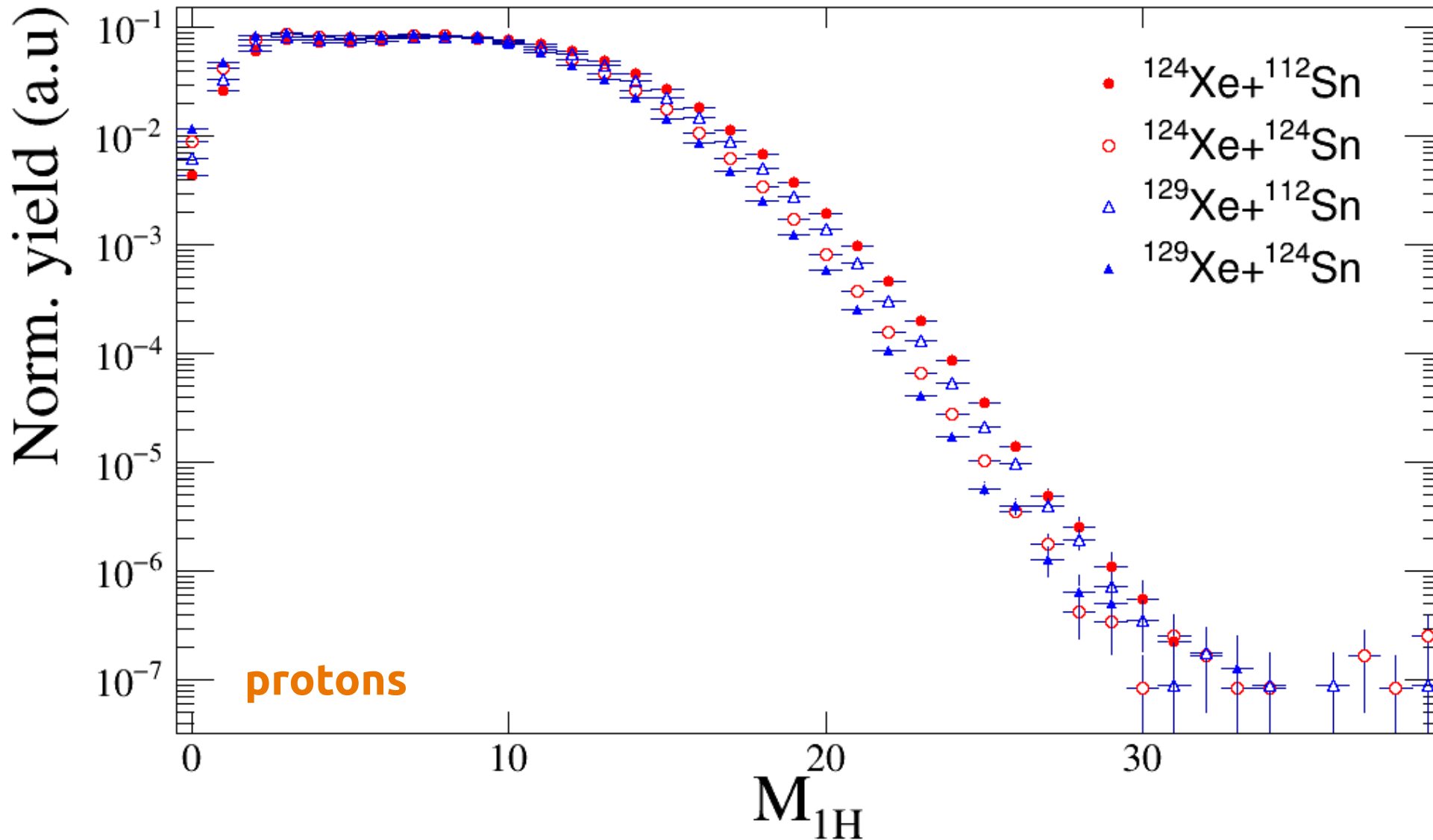
Global observable : Z_{\max}



Global observable : Z_{tot}



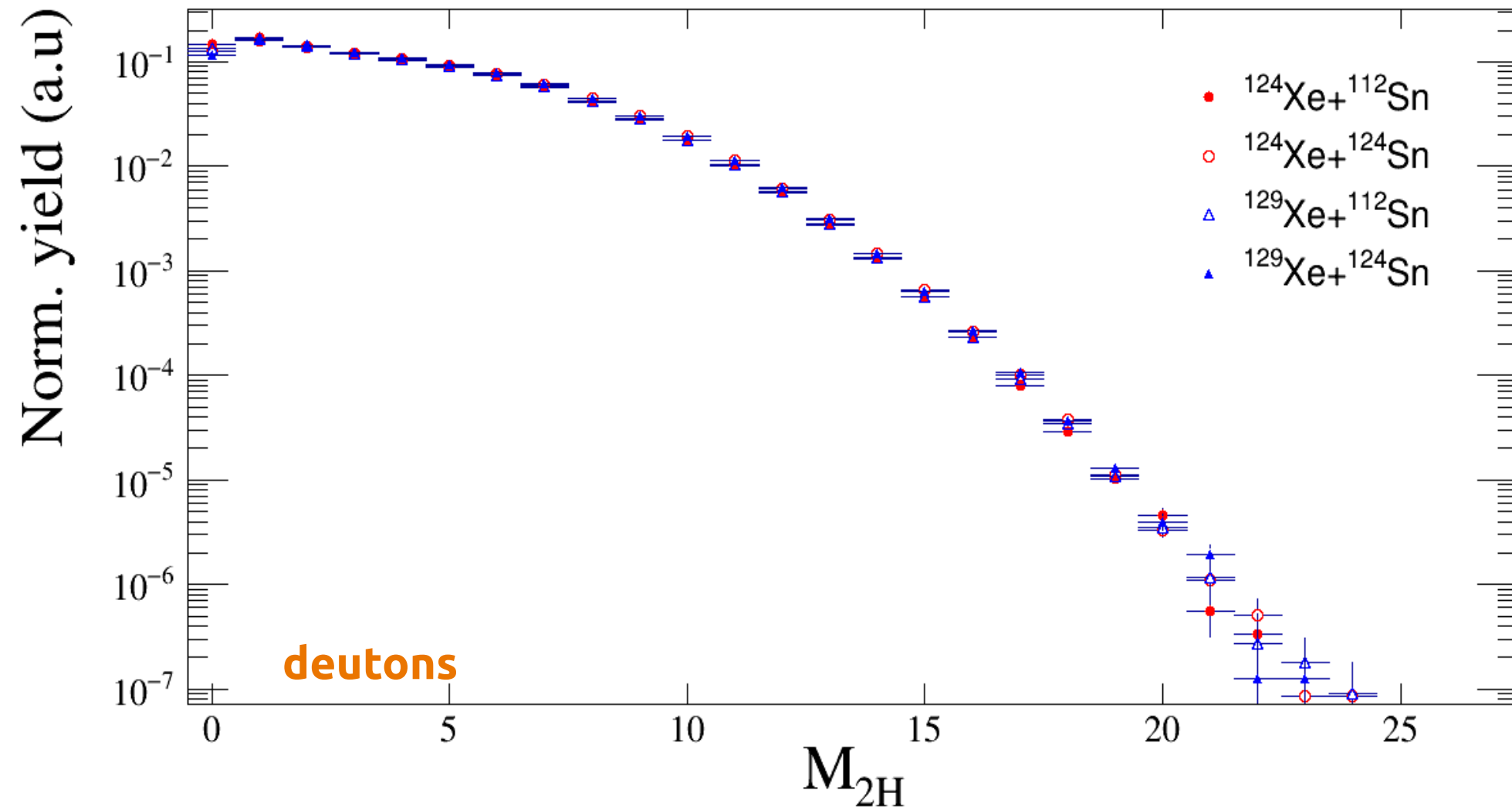
Global observable : LCP mult.



M_{1H} max ~ 30

Hierarchy according to the n-deficiency of the system

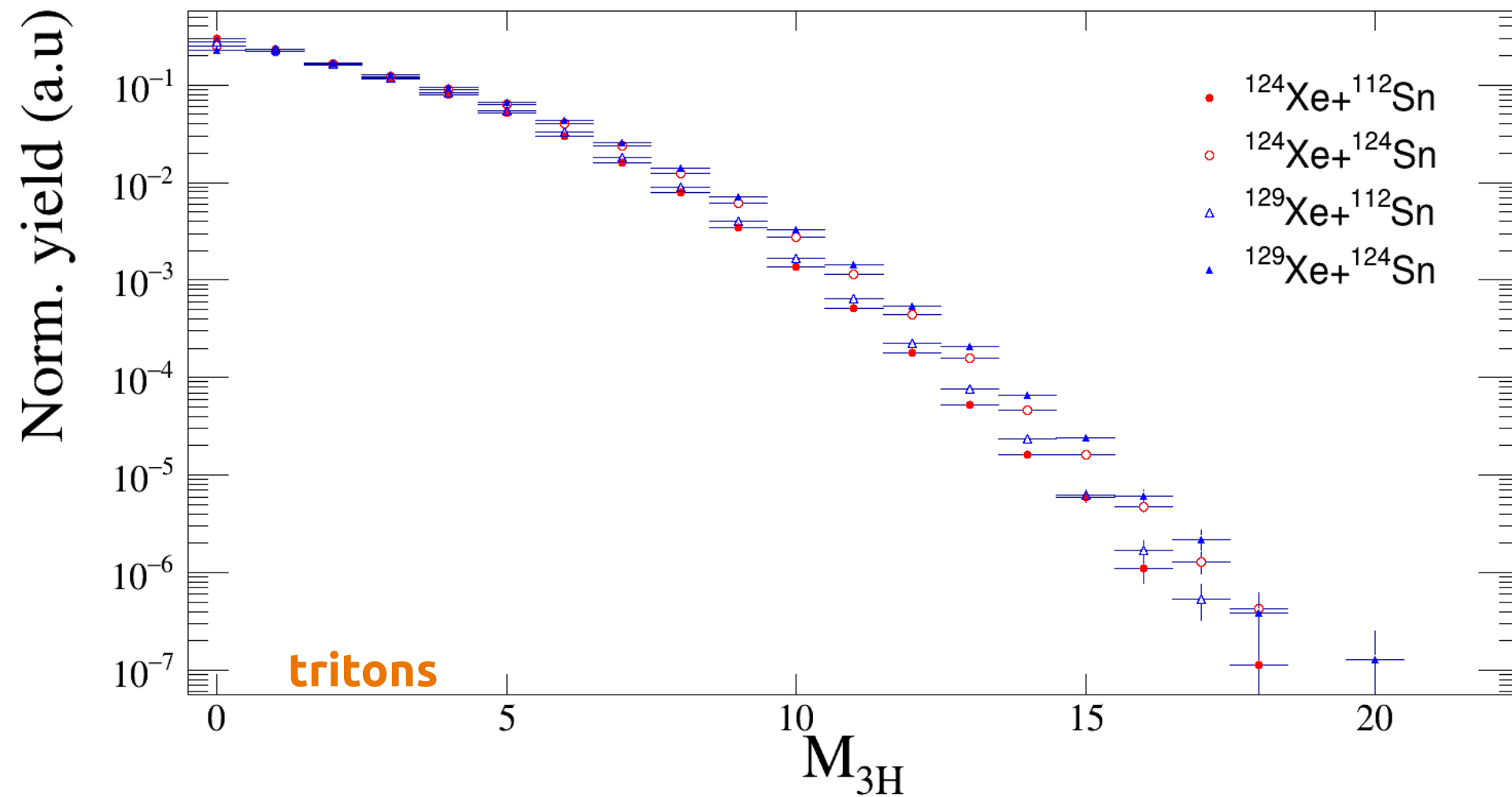
Global observable : LCP mult.



M_{2H} max ~ 25

No clear hierarchy

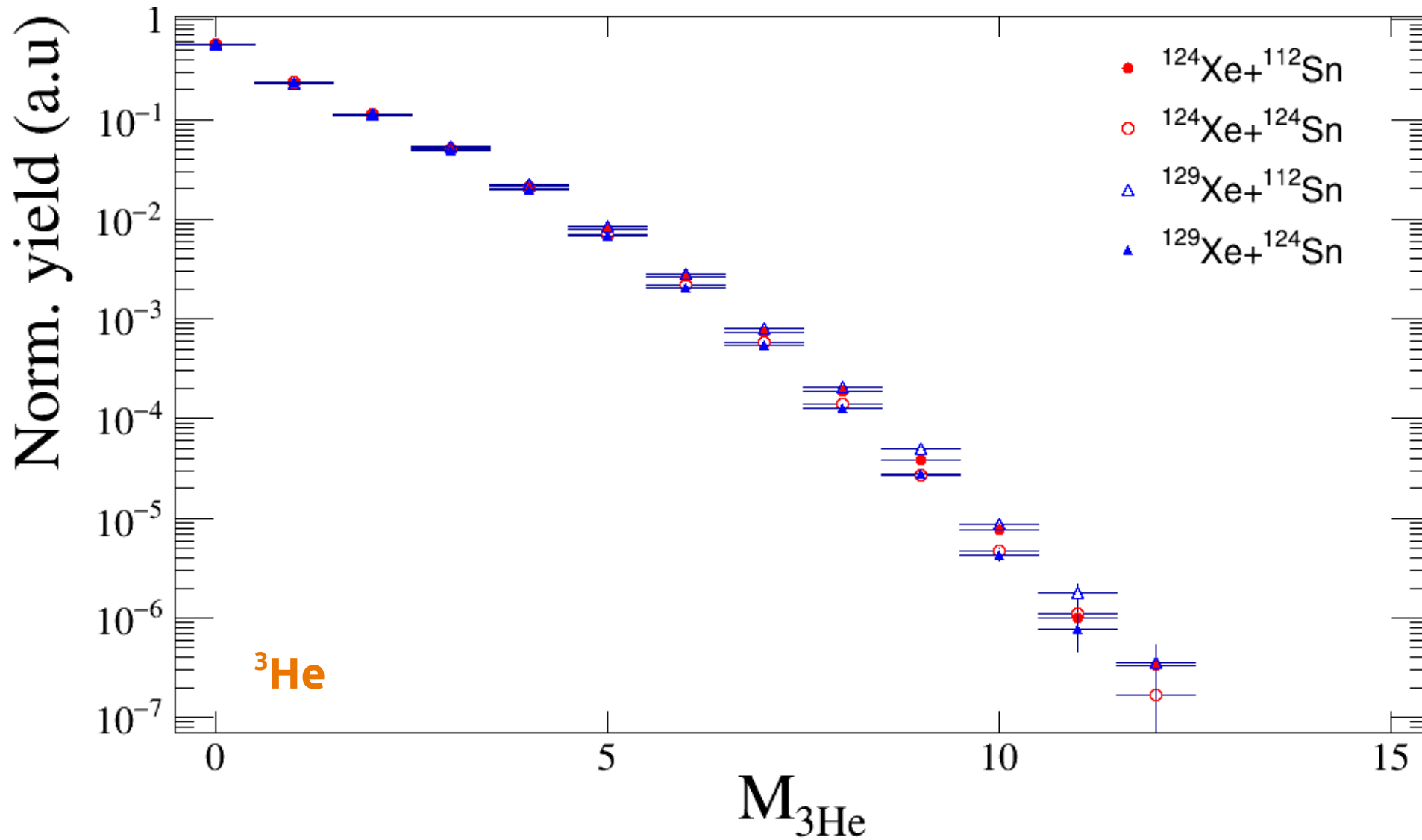
Global observable : LCP mult.



M_{3H} max ~ 17

Hierarchy according to the n-richness of the system

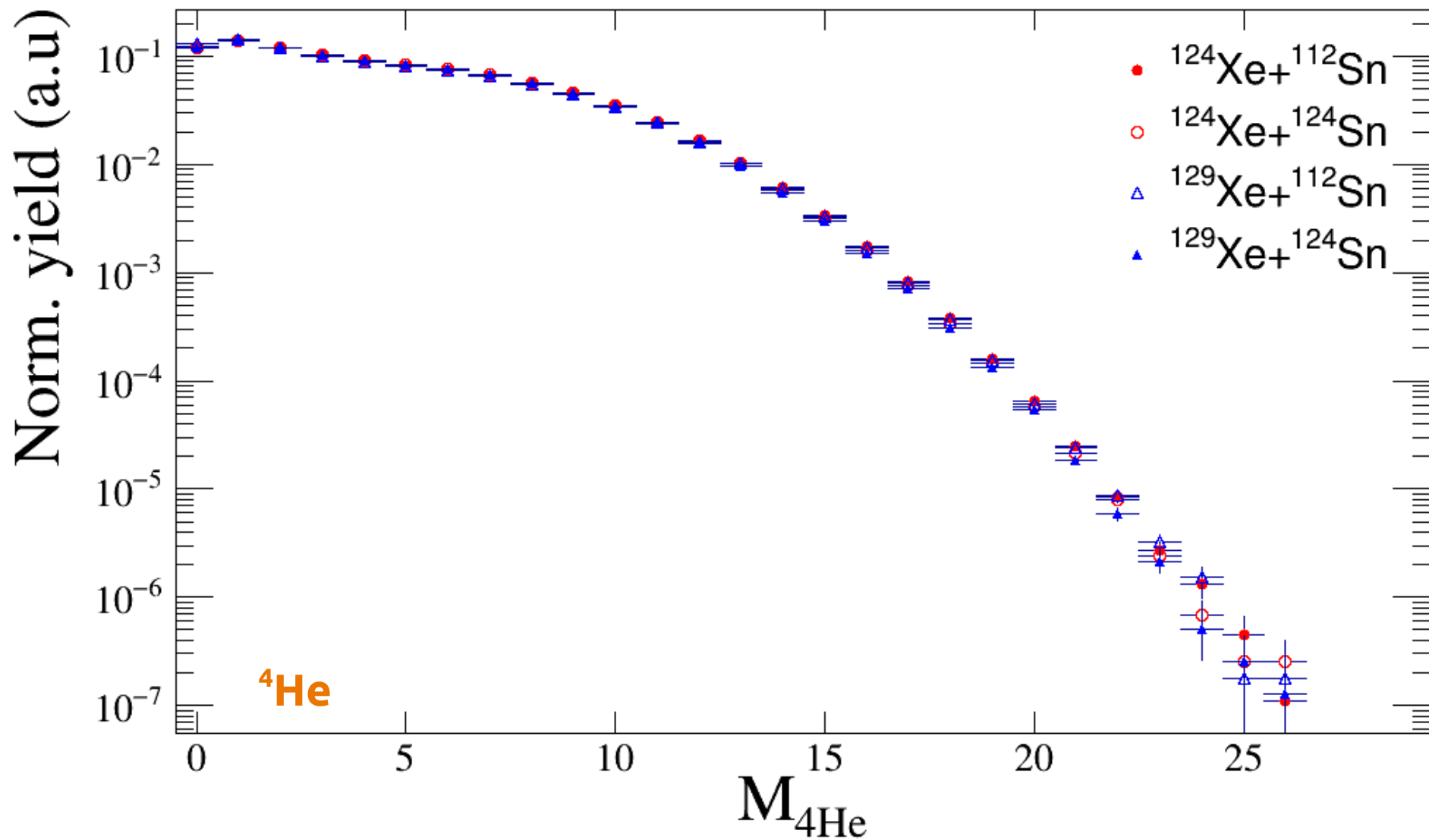
Global observable : LCP mult.



$M_{3\text{He}}$ max ~ 12

No clear hierarchy

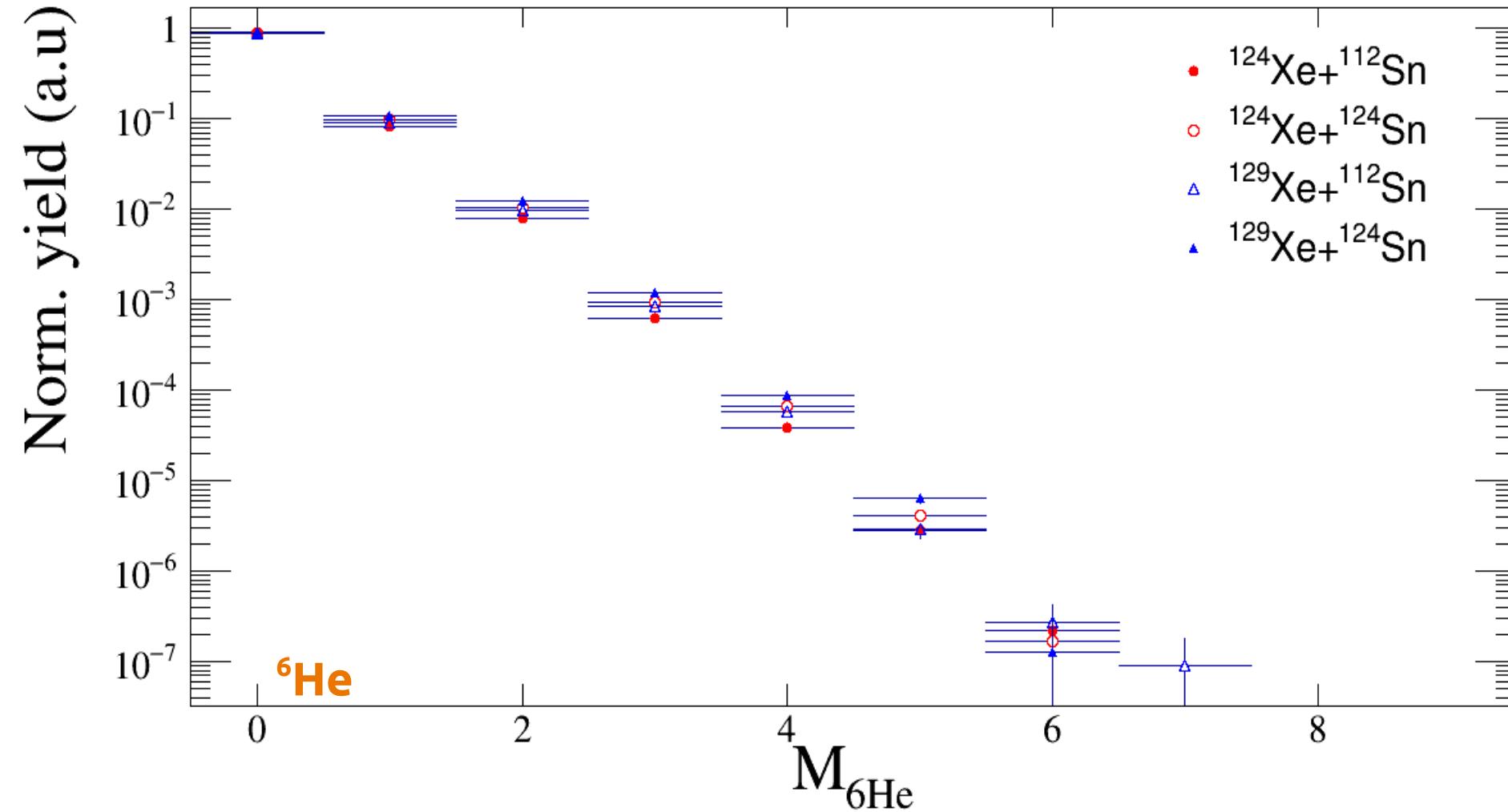
Global observable : LCP mult.



$M_{4\text{He}} \text{ max } \sim 25$

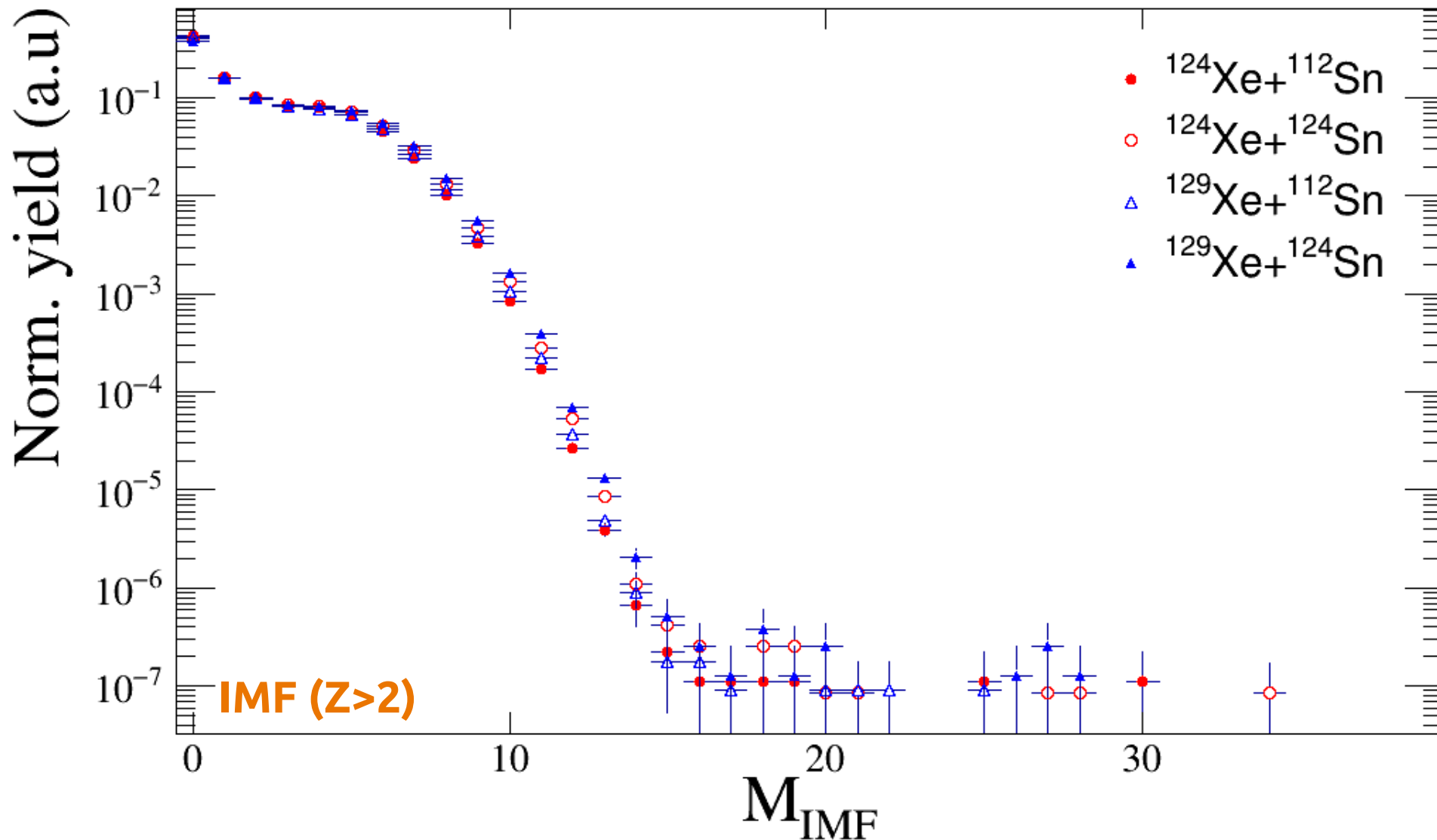
No clear hierarchy

Global observable : LCP mult.



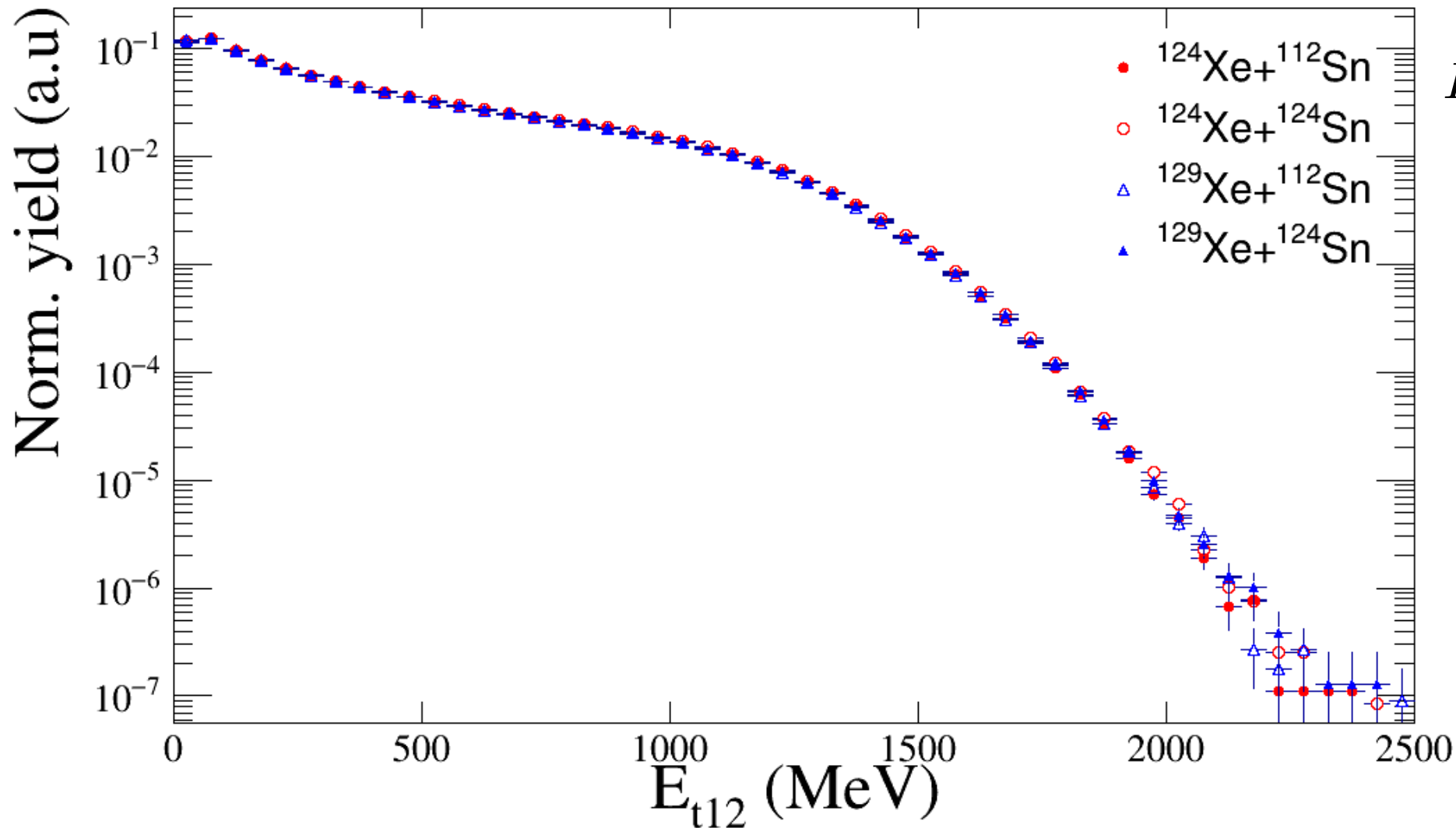
$M_{6\text{He}} \text{ max } \sim 6$

Global observable : IMF mult.



$M_{\text{IMF}} \text{ max } \sim 16$

Global observable : Transverse KE



$$E_{t12} = \sum_{i:Z_i \leq 2} E_i \sin^2 \theta_i$$

Sum over all
Z-ident nuclei

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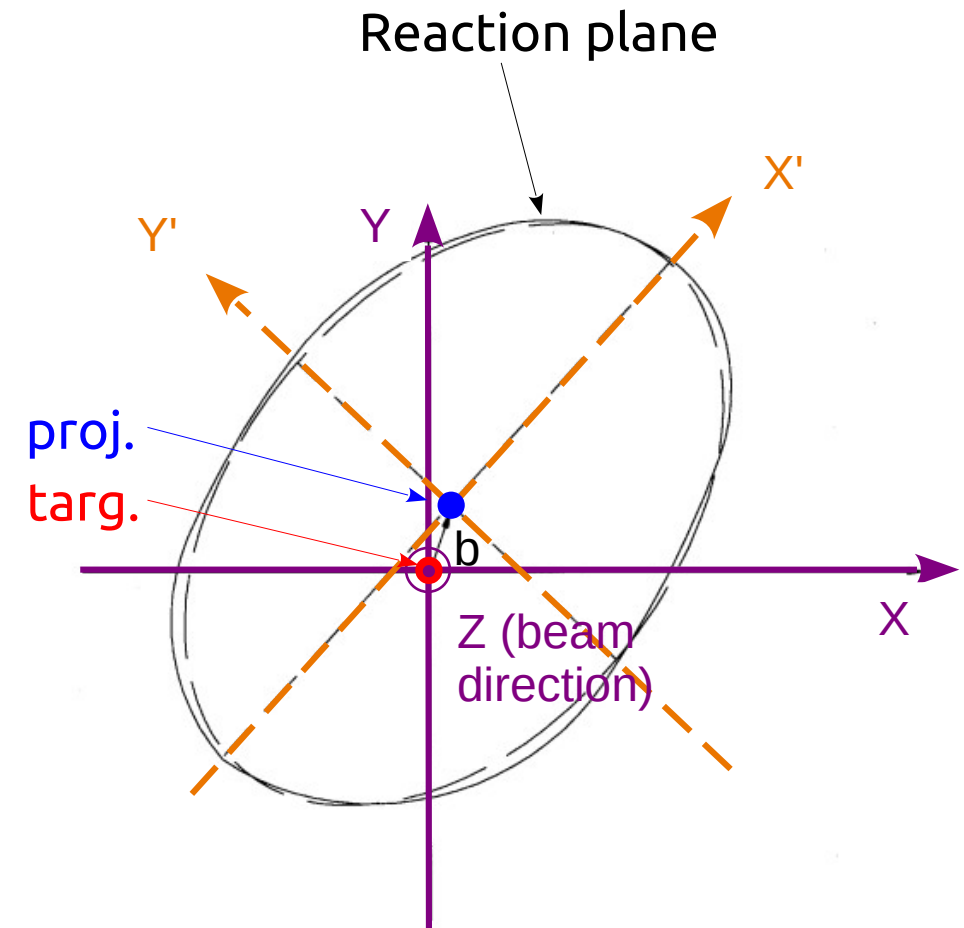
Flow parameters

Study of anisotropy in particle azimuthal distributions with respect to the reaction plane :

- Observable = transverse momentum p_t
- Z-axis = beam direction
- Reaction plane defined by :
 - Impact param. vector (from the center of the targ. to the center of the proj.)
 - transverse plane X-Y
- Fourier expansion of the azimuthal distribution of p_t

$$\frac{dN}{d\phi} = v_0[1 + 2v_1 \cos(\phi) + 2v_2 \cos(2\phi)]$$

- 1st harmonic (v_1) : overall shift of p_t in the reaction plane → “**directed flow**” ;
- 2nd harmonic (v_2) : difference between major and minor axes in an ellipse approximation → **elliptic flow**.



Voloshin and Zhang, Z. Phys. C 70 (1996)

Flow : directed and elliptic flow

$$\frac{dN}{d\phi} = v_0[1 + 2v_1 \cos(\phi) + 2v_2 \cos(2\phi)]$$

$$v_1 \equiv \langle \cos(\phi) \rangle = \left\langle \frac{p_x}{p_t} \right\rangle \quad \text{(average over all considered particles and events)} \quad v_2 \equiv \langle \cos(2\phi) \rangle = \left\langle \frac{p_x^2 - p_y^2}{p_t} \right\rangle$$

- Both directed and elliptic flows may depend on :
 - The colliding system, beam energy, impact parameter, type of particle ;
 - Transverse momentum and rapidity.
- According to various model calculations they can also be used as **sensitive probes to study the high-density behaviour of the nuclear symmetry energy** :
 - UrQMD : P.Russotto et al., PRC 94, 034608 (2016)
C. Guo et al., PRC 91, 054615 (2015)
C. Guo et al., PRC 90, 034606 (2014)
Q. Li et al., PRC 83, 044617 (2011)
 - IQMD : see review from W. Reisdorf et al. (FOPI collaboration), Nuc. Phys. A 876 (2012)

Flow : directed and elliptic flow

dN

v_1

• BC

•

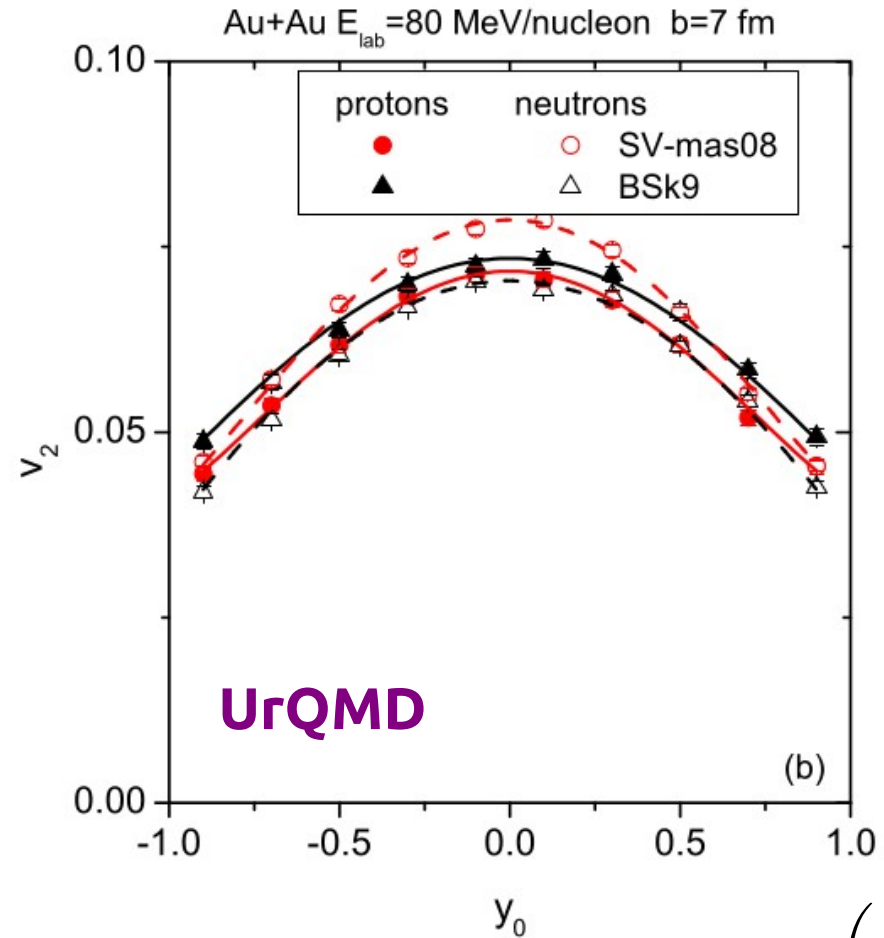
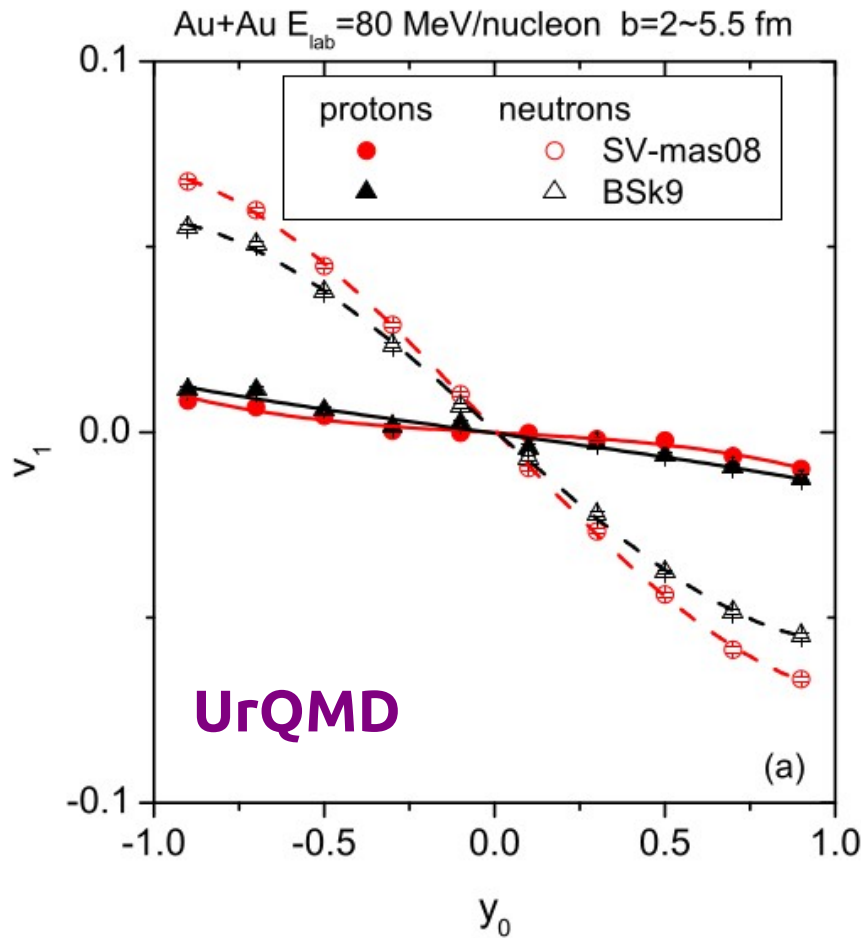
•

• Ac

high

•

•



→ ≠ in the slopes at mid-rapidity are observed with ≠ EOS parameterizations

$$y_0 = \left(\frac{y}{y_{proj}} \right)^{cm}$$

C. Guo et al., PRC 91, 054615 (2015)

Reaction plane reconstruction

- For this study, we will analyse the flow patterns by constructing a kinetic flow tensor on an event-by-event basis.
- Allow to associate an event shape/orientation from a set of N measured nuclei momenta ;
- Weighted flow tensor :

$$F_{ij} = \sum_{\nu=1}^N w_{\nu} p_i^{\nu} p_j^{\nu}$$

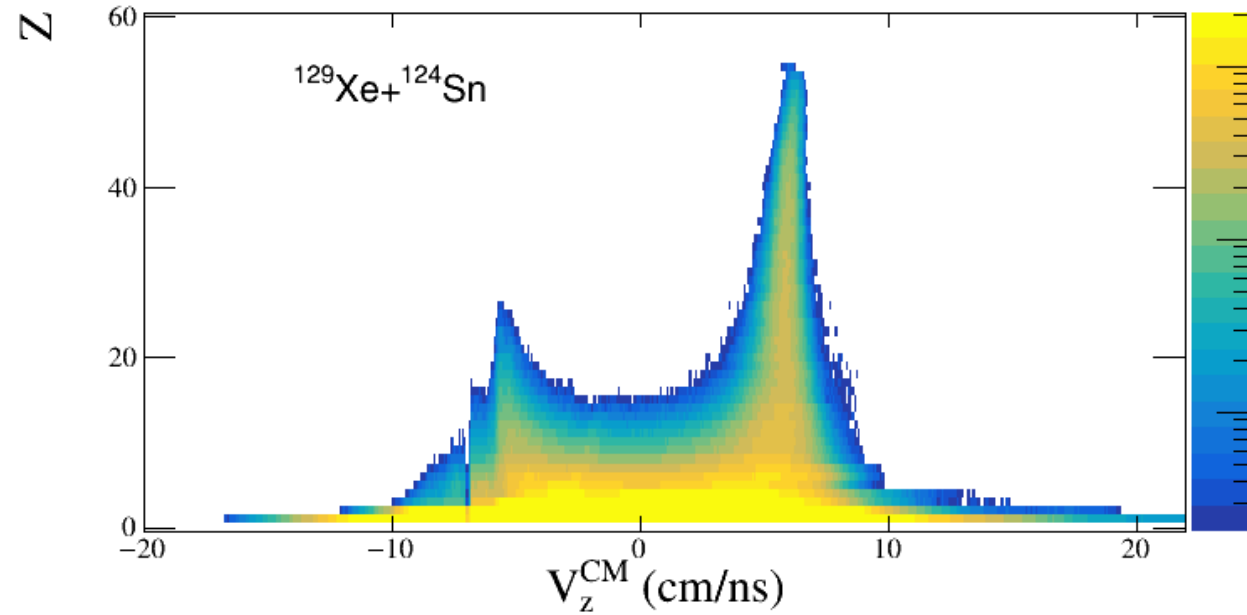
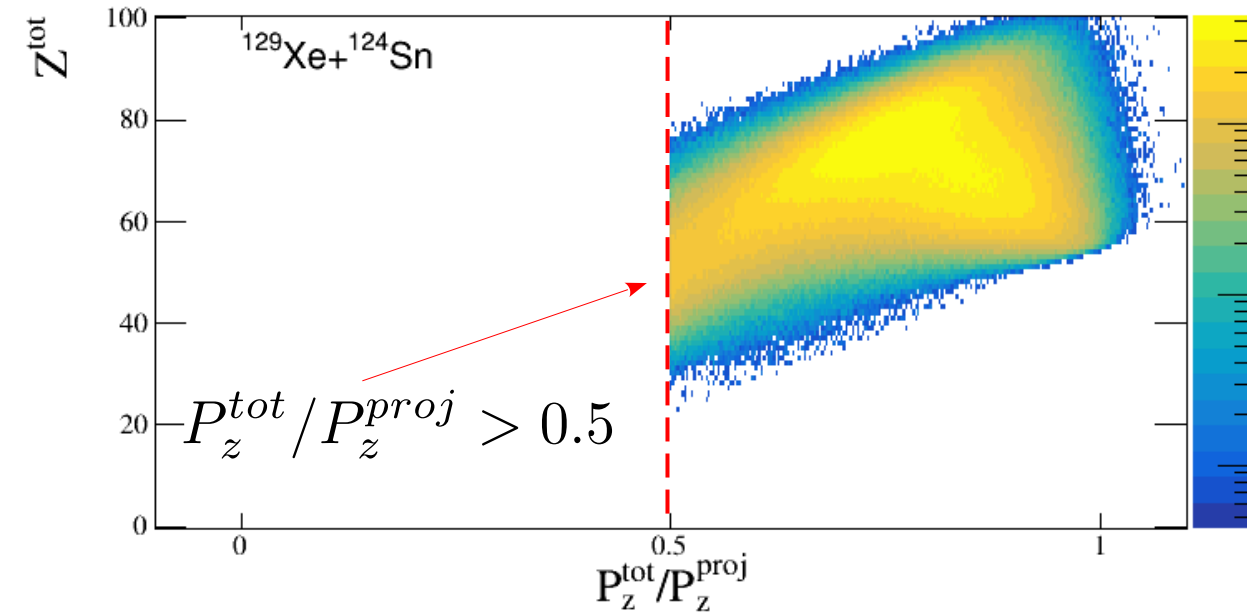
$$i, j = x, y \text{ or } z$$

$$w_{\nu} = \text{weight given to a given nuclei } \nu$$

(see KVFlowTensor)

- Diagonalisation of the tensor gives :
 - 3 orthogonal eigenvectors $(\vec{e}_1, \vec{e}_2, \vec{e}_3)$
 - 3 eigenvalues $\lambda_1 \geq \lambda_2 \geq \lambda_3$
- These values specifies the form of an ellipsoide in momentum space
 - In reaction CM ref. Frame
 - Need a completeness criterion to select events where a large portion of the products is detected

Application INDRA@GSI : Event selection



→ Remove around 50% of the full statistics

Centrality selection

“exp-centrality”

$$c_x \equiv \int_x^{+\infty} P(X) dX$$

increasing X with decreasing b

$$X = M_{\text{tot}} \text{ or } Et_{12}$$

Sampling of 10% steps in centrality

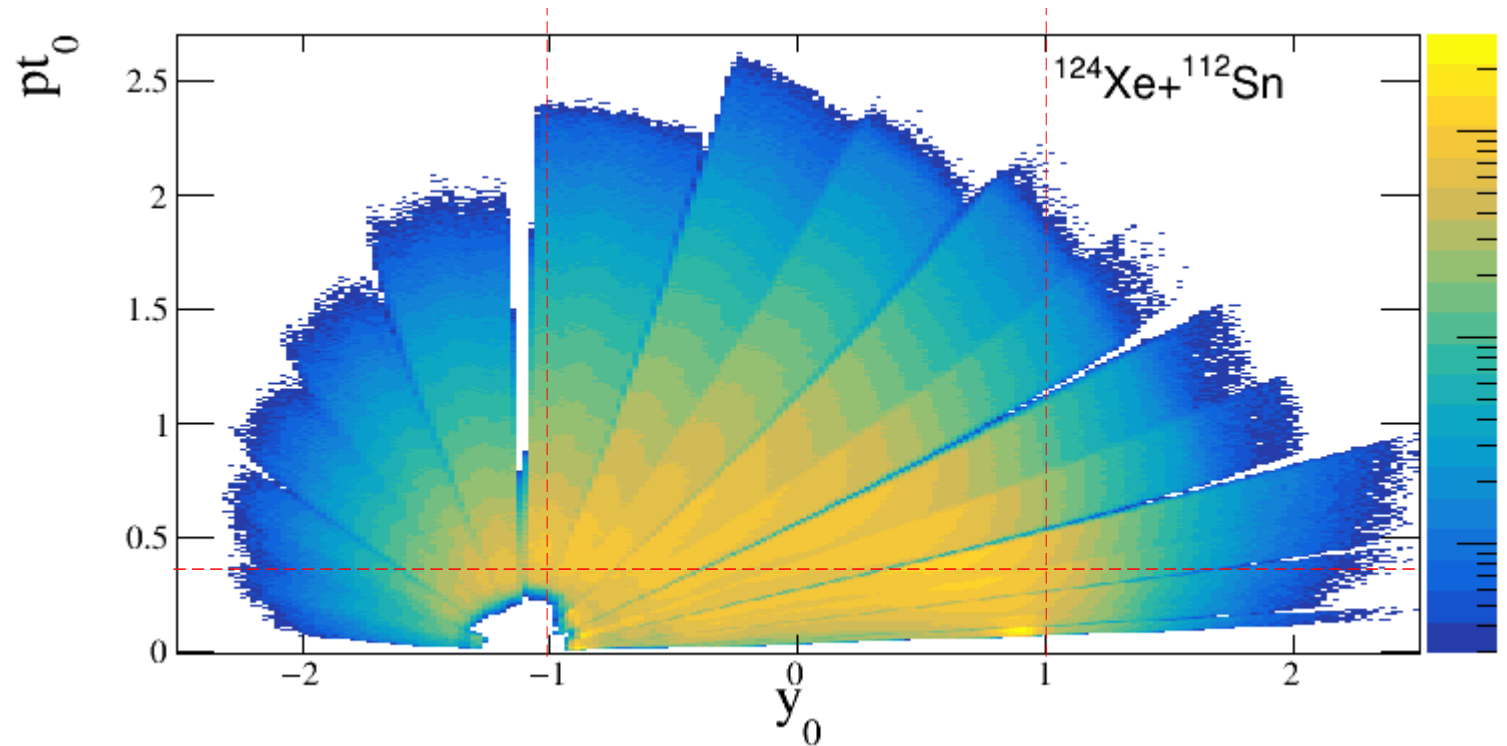
To be used for impact parameter distribution estimation
(see Frankland et al., PRC 104, 034609)

Application INDRA@GSI : Event selection

Directed and elliptic flow are usually studied as a function of the reduced rapidity or reduced transverse momentum

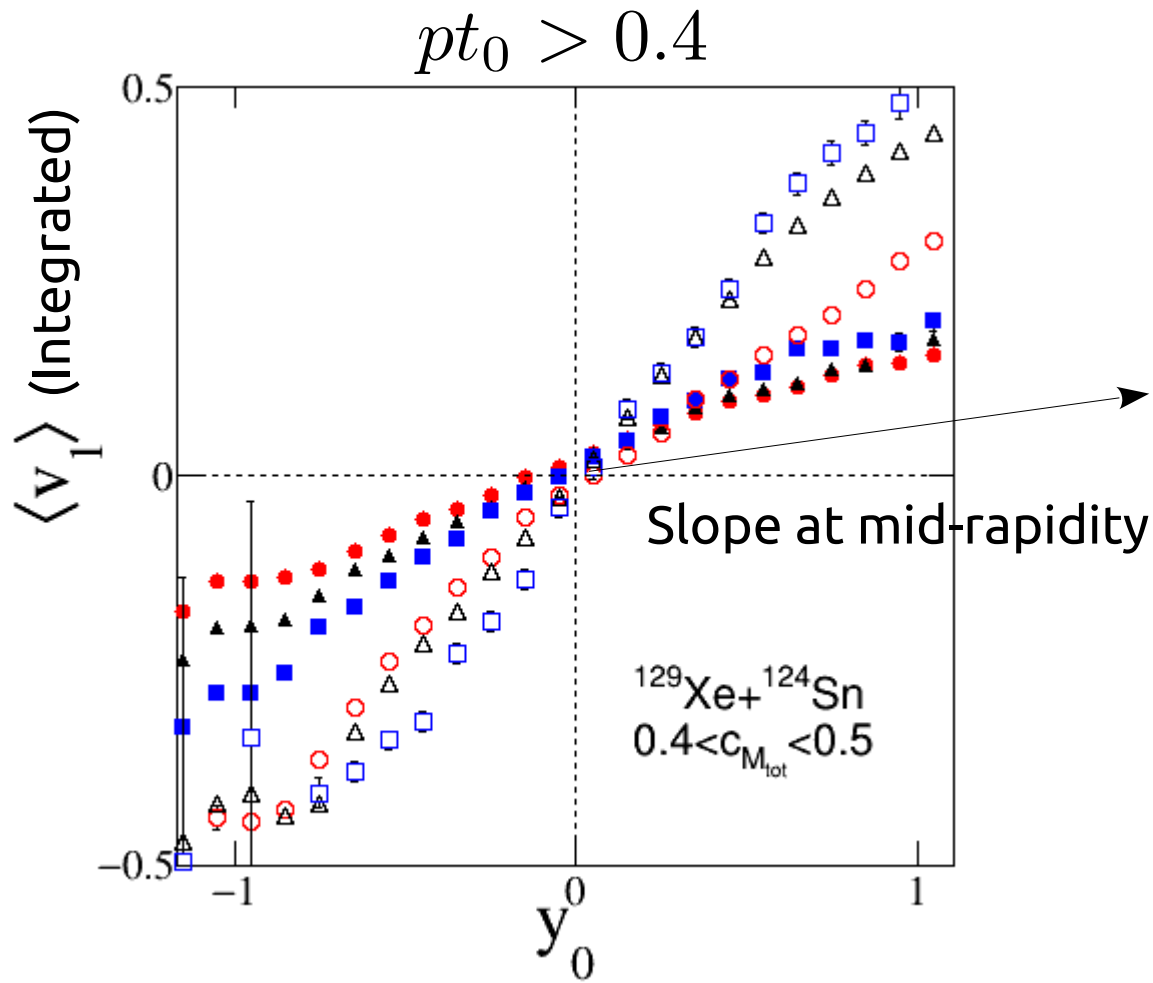
Most of the analysis apply cuts on those observables :
- to pin down region of maximum flow values
- to correct from acceptance effect that would break the (a)symmetry of v_1 and v_2

$$pt_0 = \frac{pt/A}{pt_{proj}^{cm}/A_{proj}} \quad y_0 = \left(\frac{y}{y_{proj}} \right)^{cm}$$

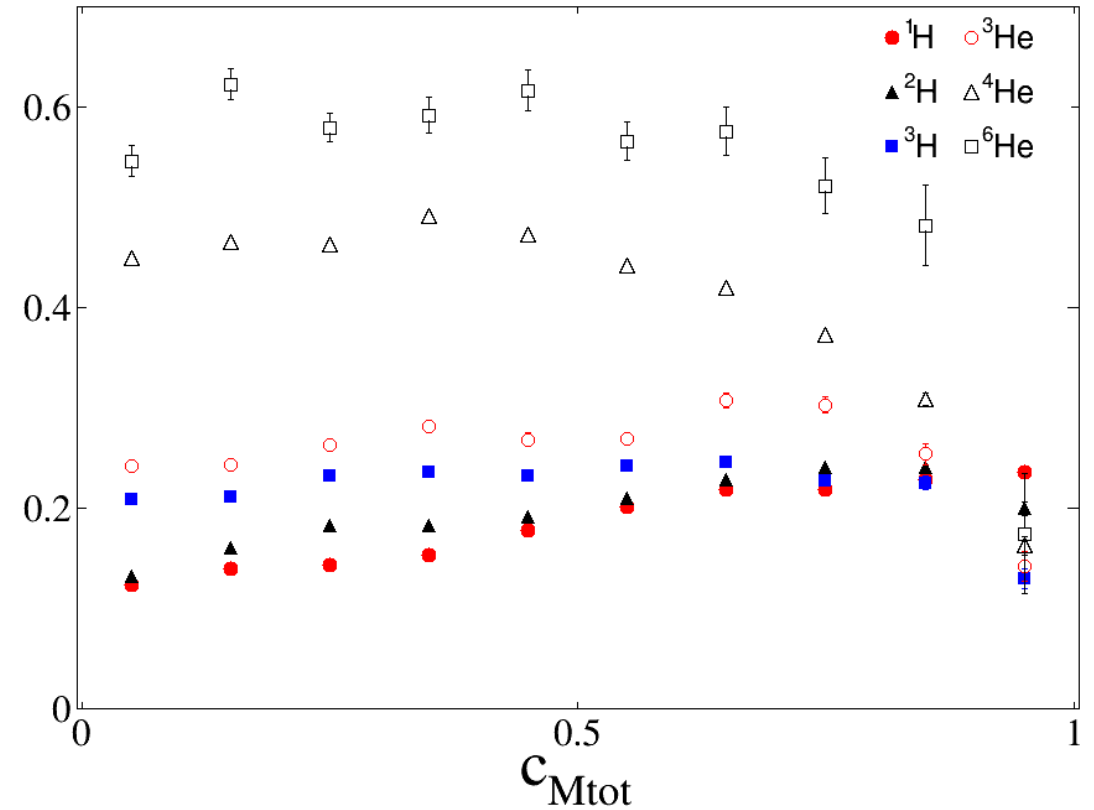


W. Reisdorf et al. (FOPI collaboration), Nuc. Phys. A 876 (2012)
Andronic et al.,

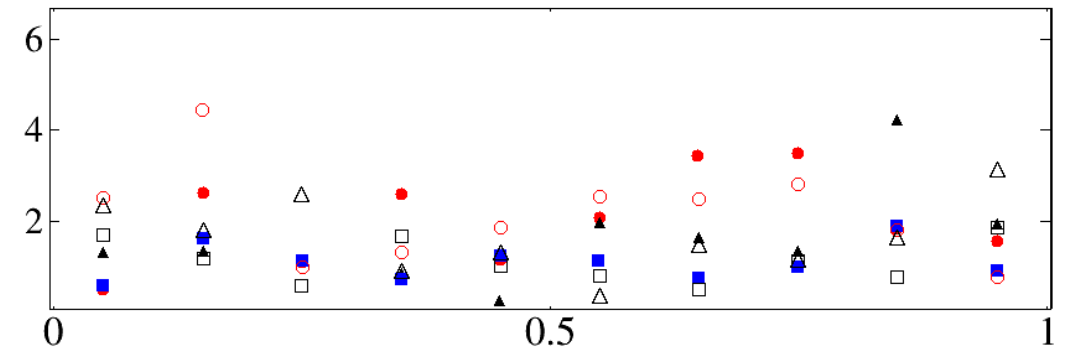
Application INDRA@GSI : directed flow



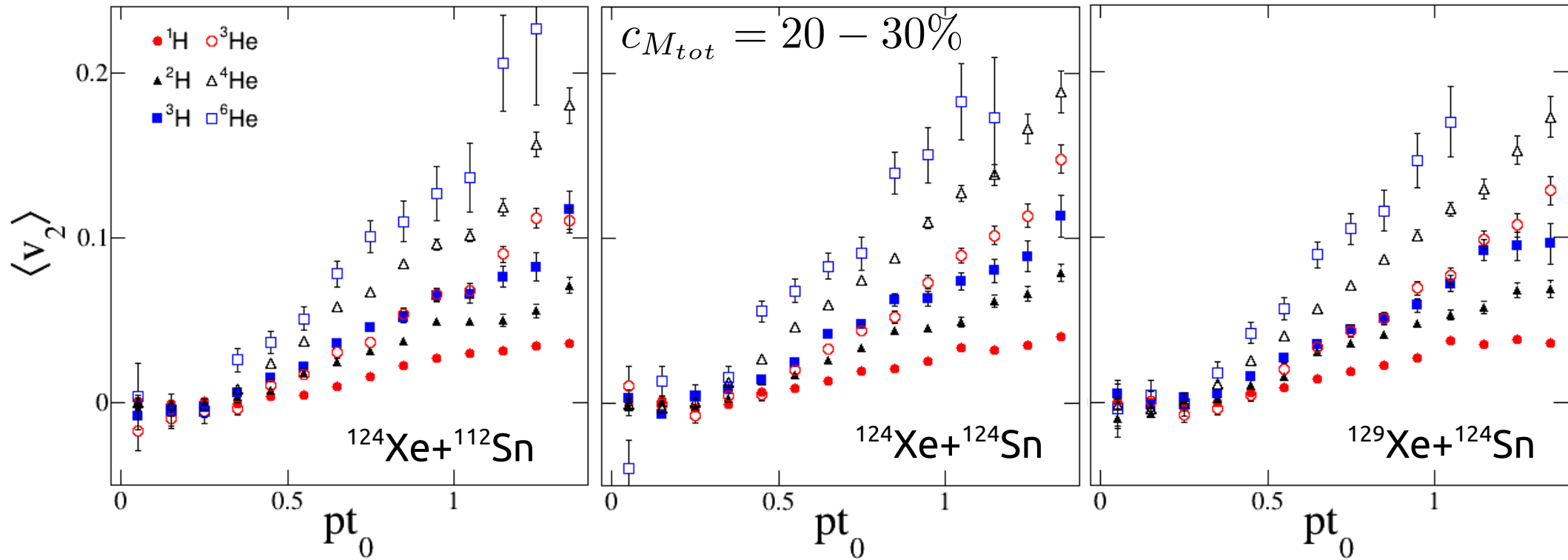
$$\left. \frac{\partial v_1}{\partial y} \right|_{0^{mr}}$$



$$\chi^2_{red}$$



Application INDRA@GSI : elliptic flow



→ To be investigated...