

**A physics case for $^{12}\text{C}+^{12}\text{C}$ at 8.75
MeV/nuc : direct reactions and
spectroscopy with FAZIA**

Diego Gruyer, LPC Caen



Context

During the E818 experiment, we asked for two calibration beams :

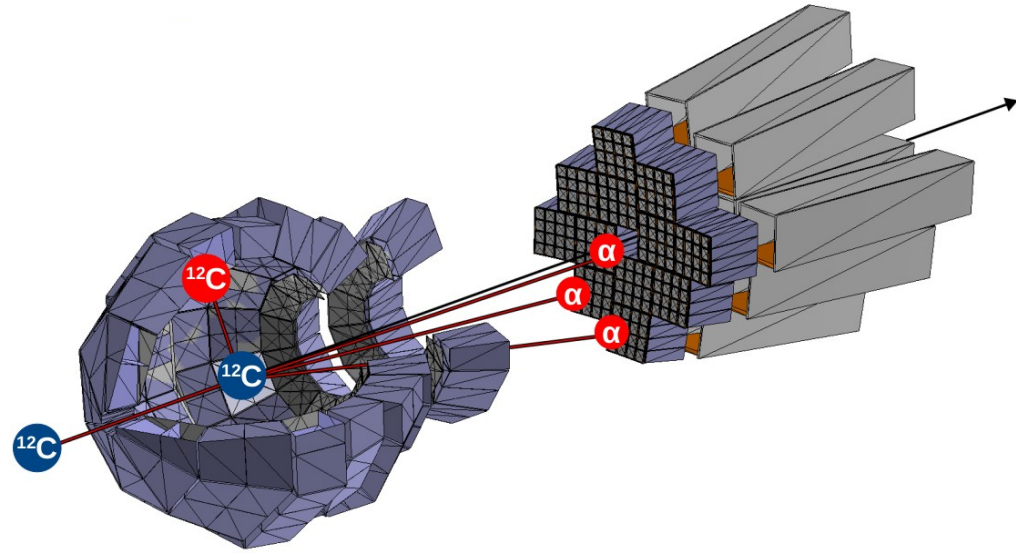
- ^{12}C at 8.75 MeV/nuc to stop in Si1 (CSS1)
- ^{12}C at 13.75 MeV/nuc to stop in Si2 (CIME)

The quality of the CIME beam was excellent.

Extra systems

The calibration was fast so we have also measured :

- $^{12}\text{C} + ^{12}\text{C}$ at 8.75 MeV/nuc (~6 h, trigger 1)
- $^{12}\text{C} + ^{58}\text{Ni}$ at 8.75 MeV/nuc



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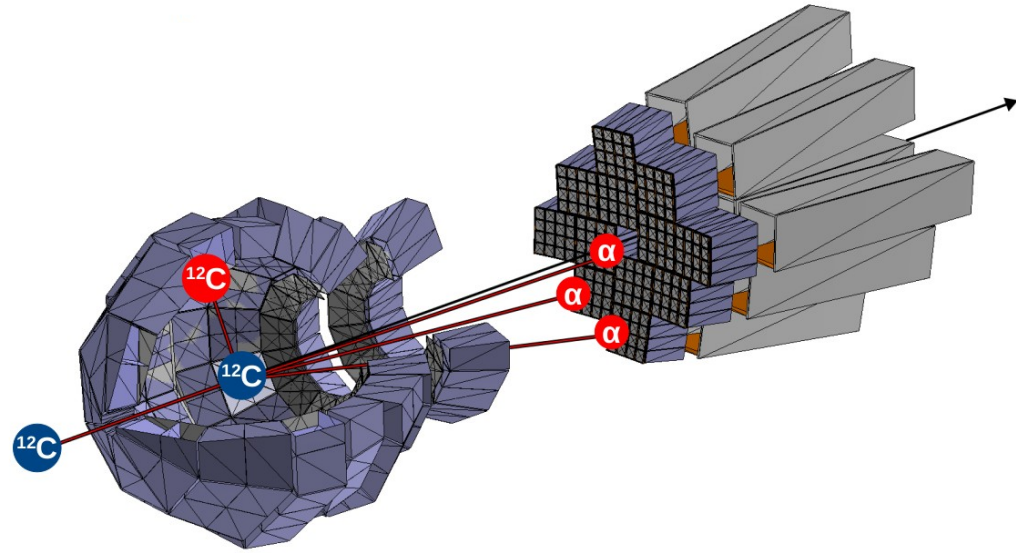
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Notes

1. Next time, ask a ^{12}C beam stopping in CsI
2. INDRA and FAZIA data were not merged online but it could be done. I considered only FAZIA data for now.



Pulse Shape Analysis

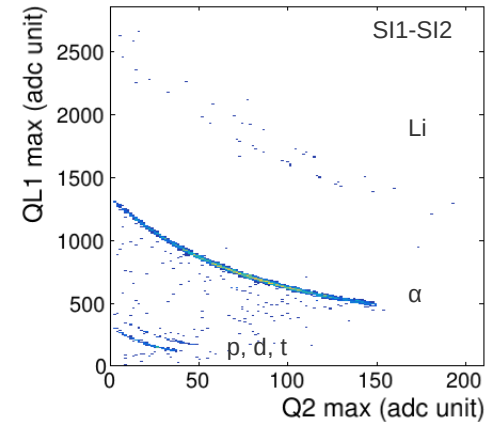
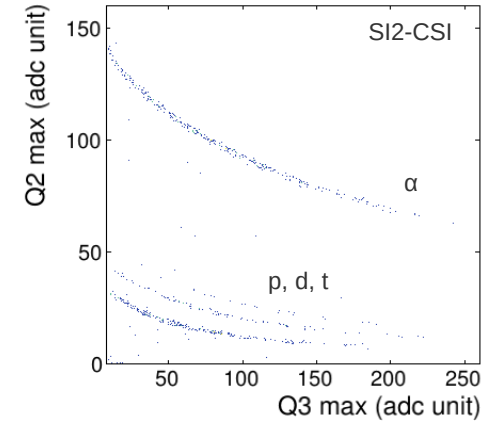
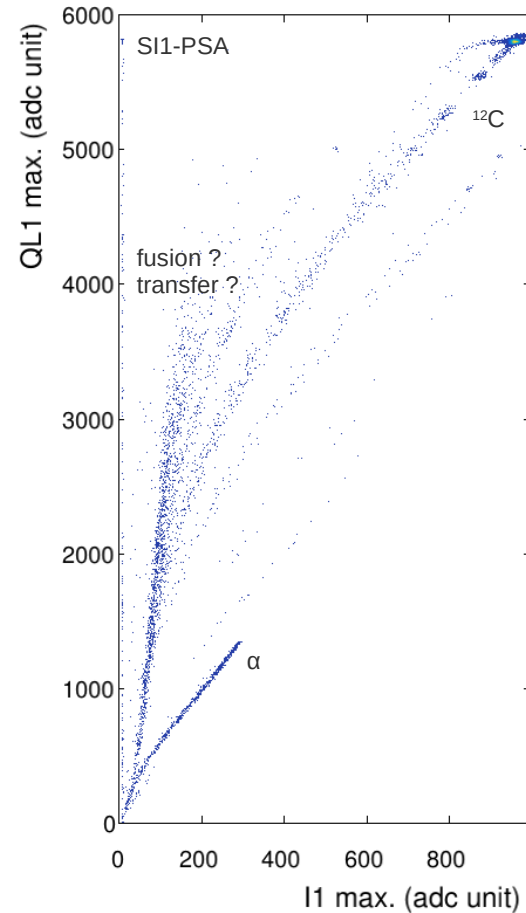
PSA in Si1 grids are ready and implemented in KaliVeda. Identification up to $Z=7$ with some heavier fragments (not resolved). Will be used to normalize cross sections.

$\Delta E-E$

Si1-Si2 and Si2-CsI grids clicked in adc unit. Isotopic identification up to $Z=3$. Most of the α identified in Si1-Si2.

Calibration

Only the energy loss in Si1 and Si2 are used to compute total energy.



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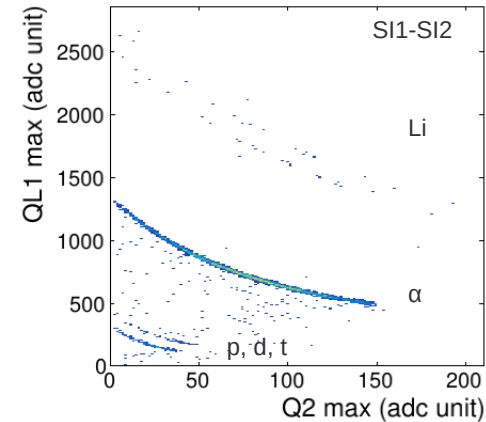
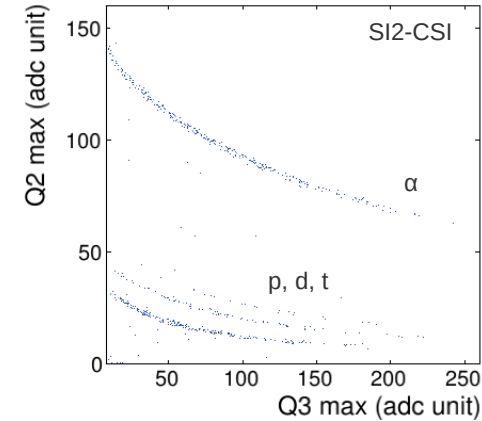
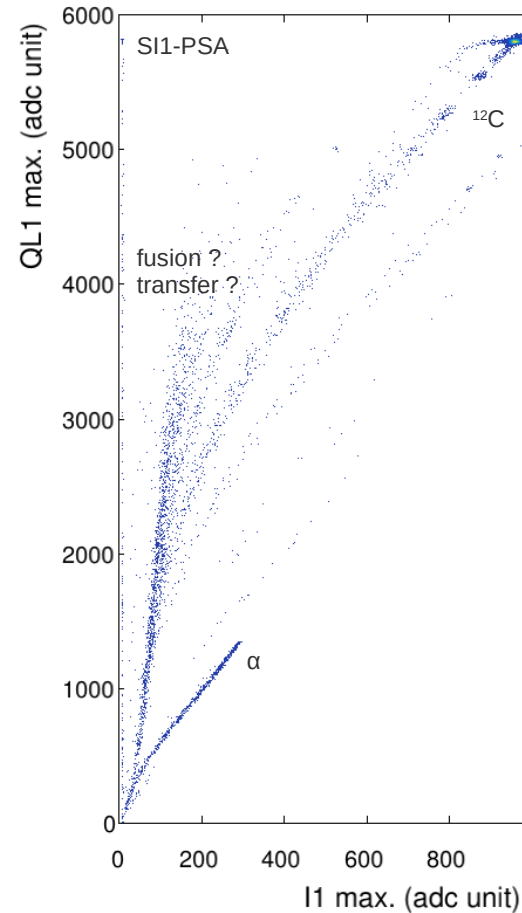
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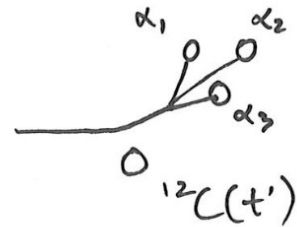
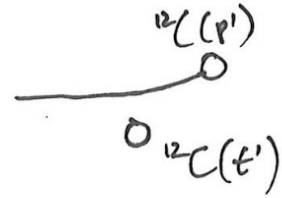
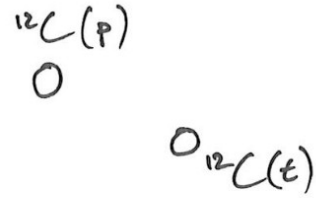
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→ 20k 3α events with good identification and energy resolution



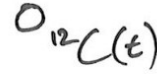
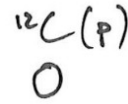
Scenario

The ^{12}C projectile diffuses on the ^{12}C target.
Both of them can be excited. The projectile
then decay into three alphas.

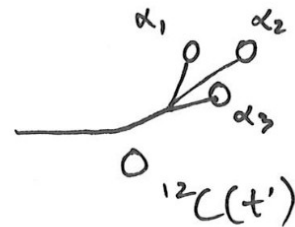
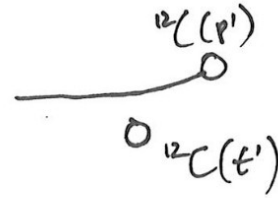


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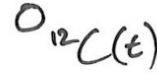
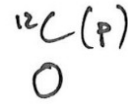


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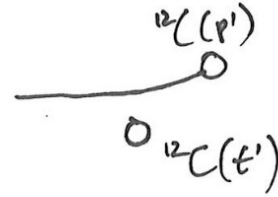


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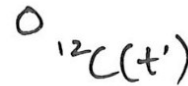
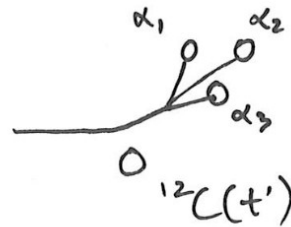
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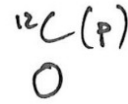


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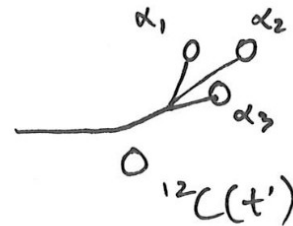
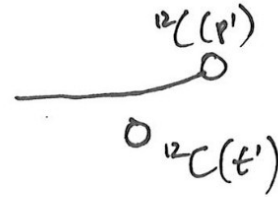
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Invariant mass

The $^{12}\text{C}(p')$ excitation energy and momentum are reconstructed from the three alpha detected in FAZIA.



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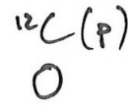
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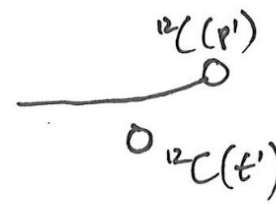
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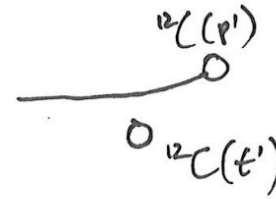
Missing mass

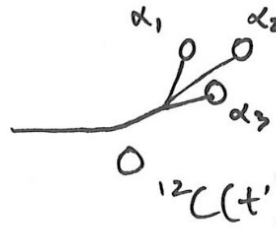
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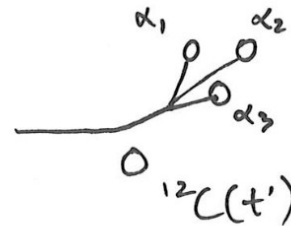
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A diagram showing a ^{12}C projectile (represented by a circle) moving towards a ^{12}C target (represented by a circle). The projectile is labeled $^{12}\text{C}(p')$ and the target is labeled $^{12}\text{C}(t')$.



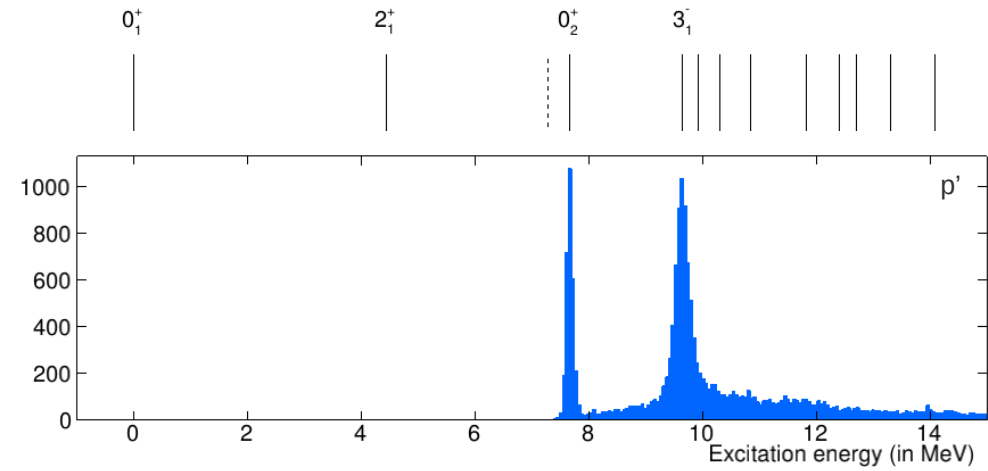
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$^{12}\text{C}(p')$ excitation energy

The excitation energy spectrum starts above the 3 alpha threshold. It shows two narrow resonances and a broader « background » (higher energy broad states or direct break-up)

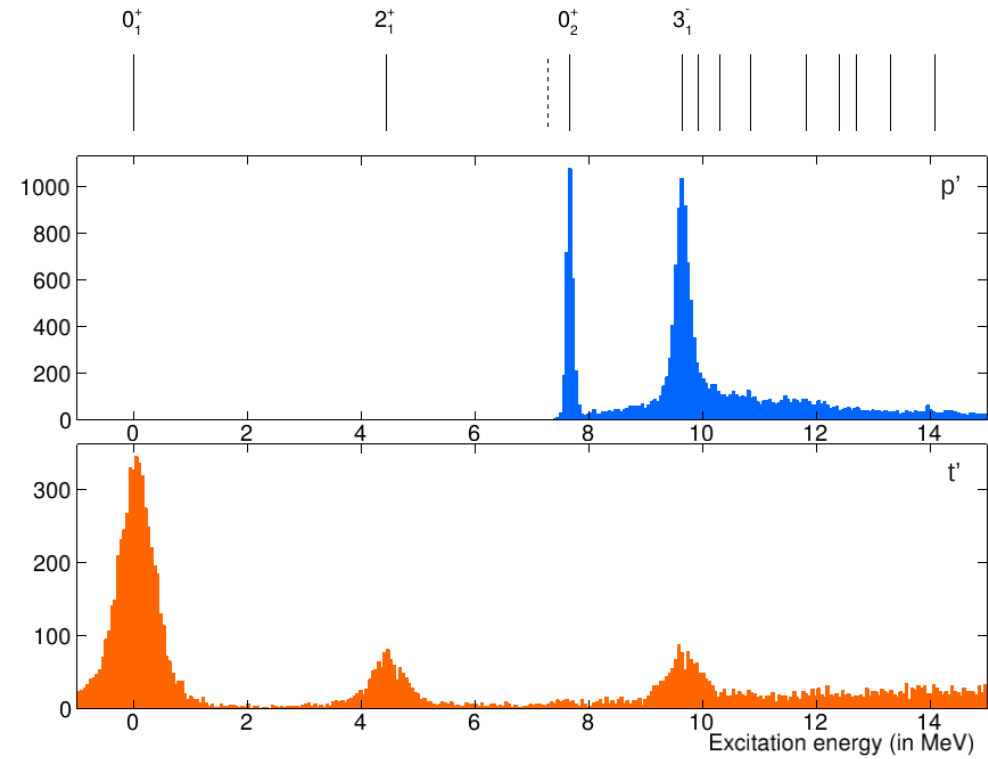


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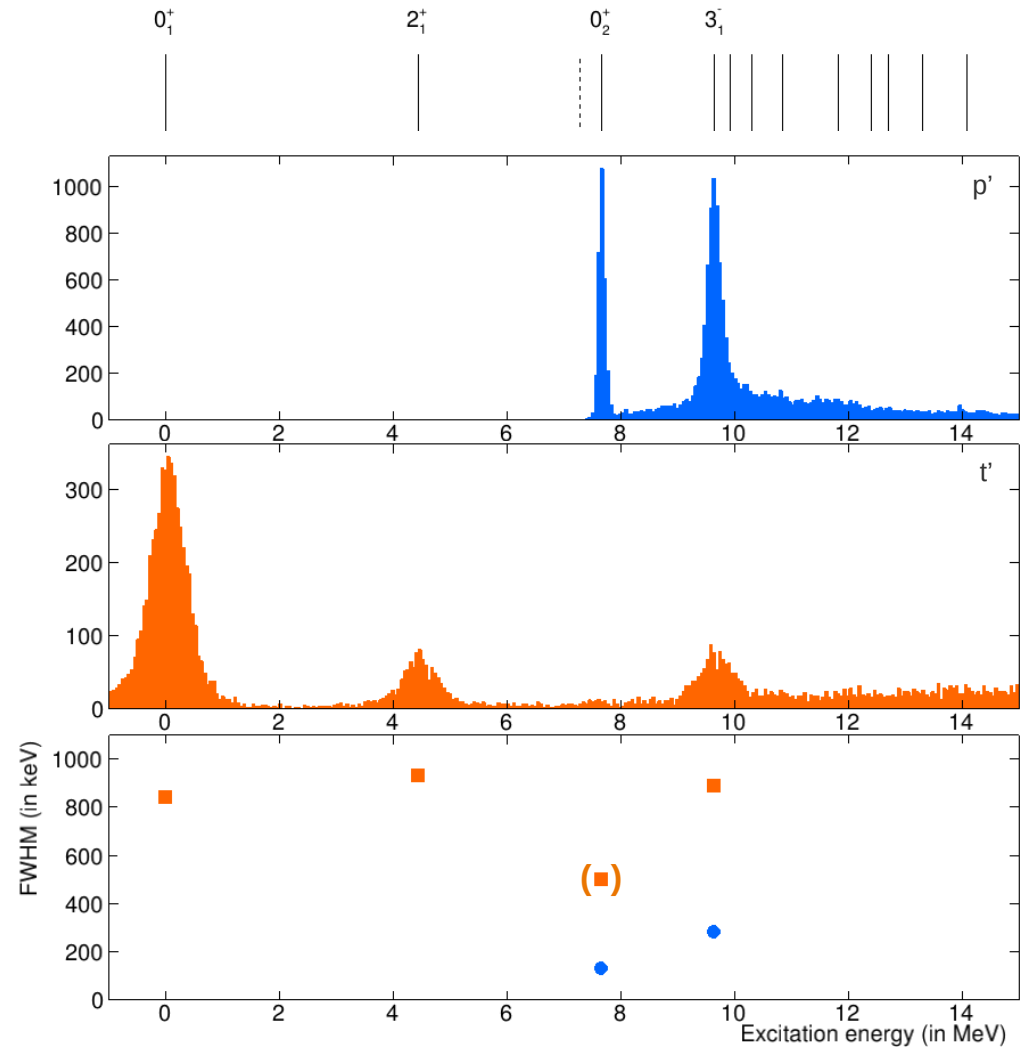
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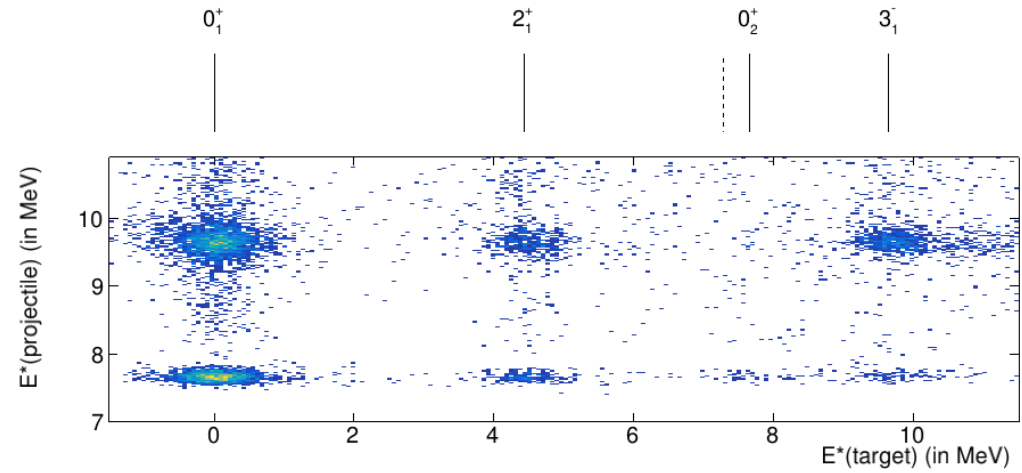
Resolution

The E^* resolution using invariant mass increases with increasing E^* from 130 keV to 280 keV FWHM. For the missing mass method, the resolution is almost constant around 900 keV FWHM.



Correlations

Now we can correlate the p' and t' ejectile excitation energy. Almost all combinations of excited states are observed but hoyle- 3^- is poorly populated.

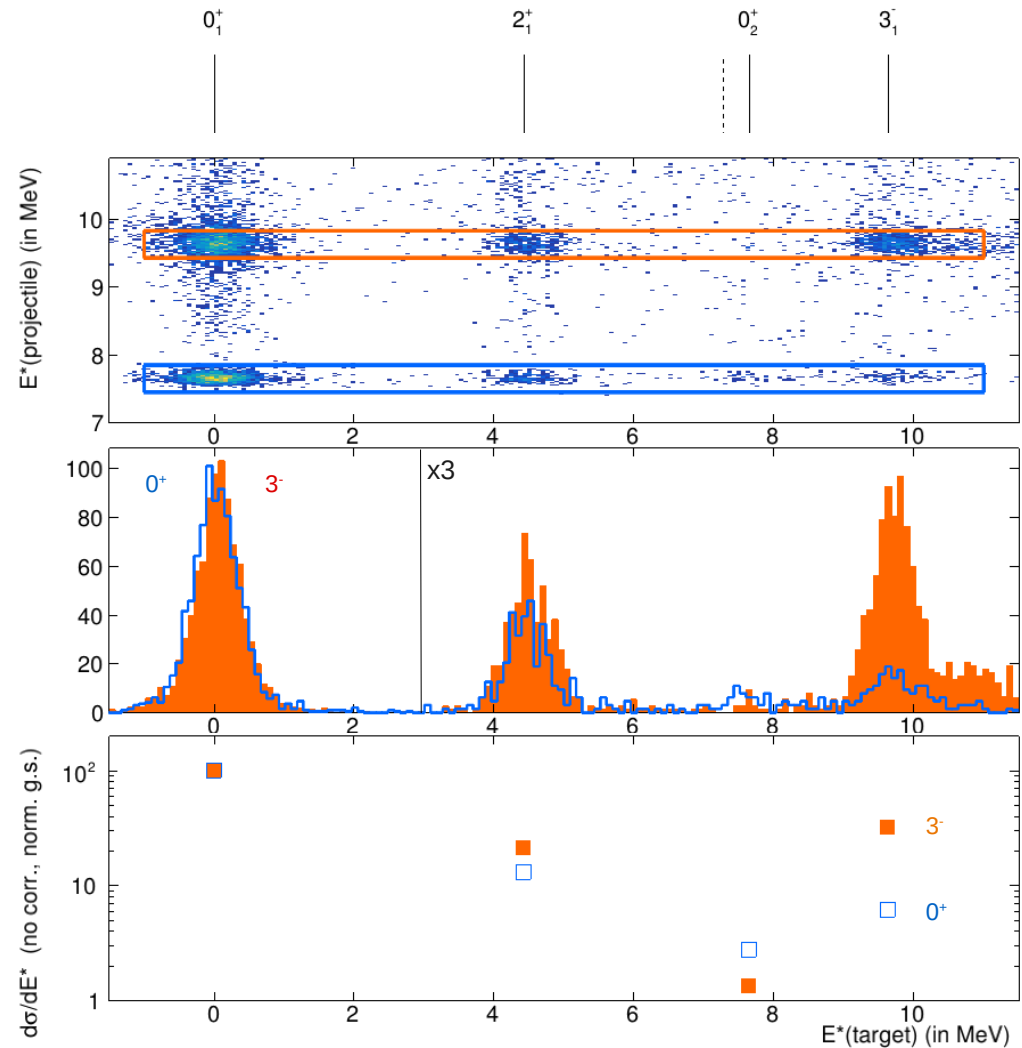


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Gate on p' state

t' excitation energy (normalised to g.s.) for different p' states. Population of 2⁺ almost equivalent. Hoyle-hoyle diffusion observed (~30 events). No 3⁻-hoyle and low hoyle-3⁻ while 3⁻-3⁻ is strongly populated.



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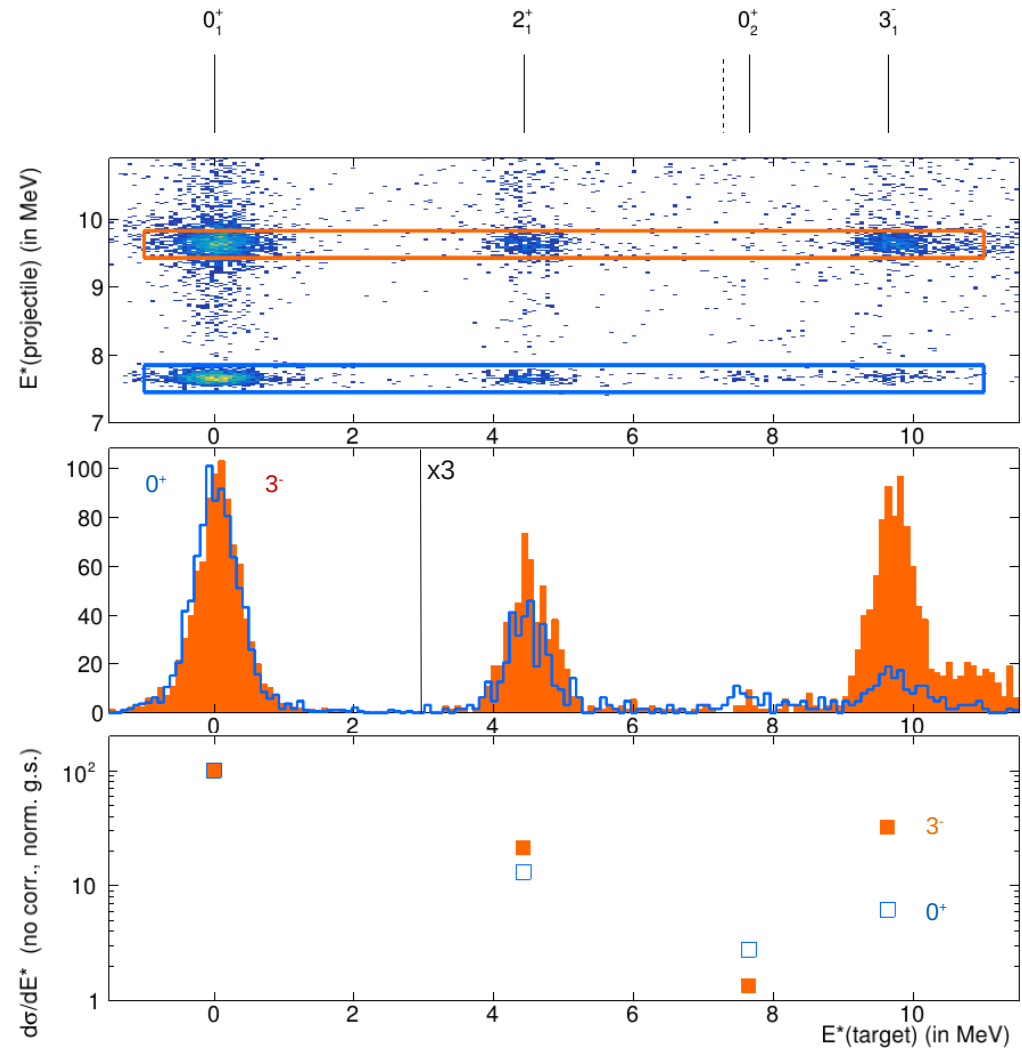
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Next steps

Differential cross-section will be corrected for reconstruction efficiency and normalised to elastic cross-section.

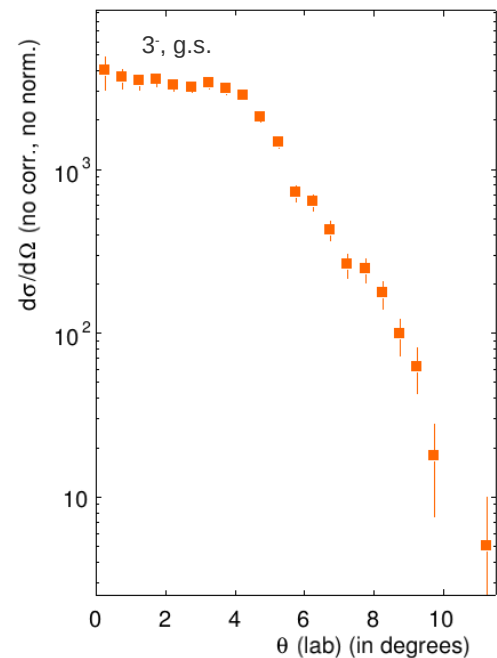
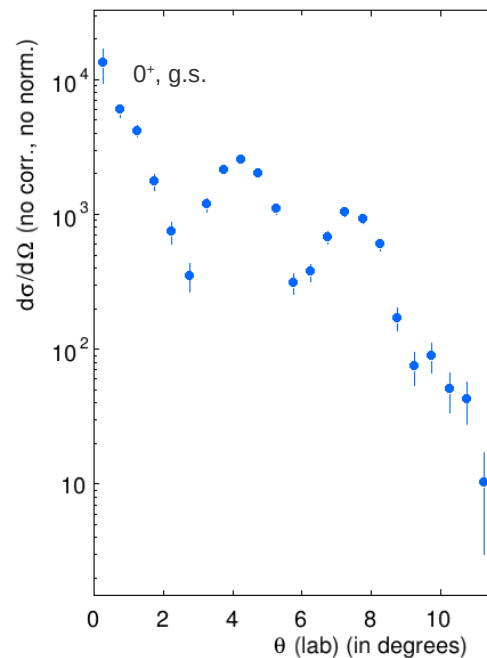
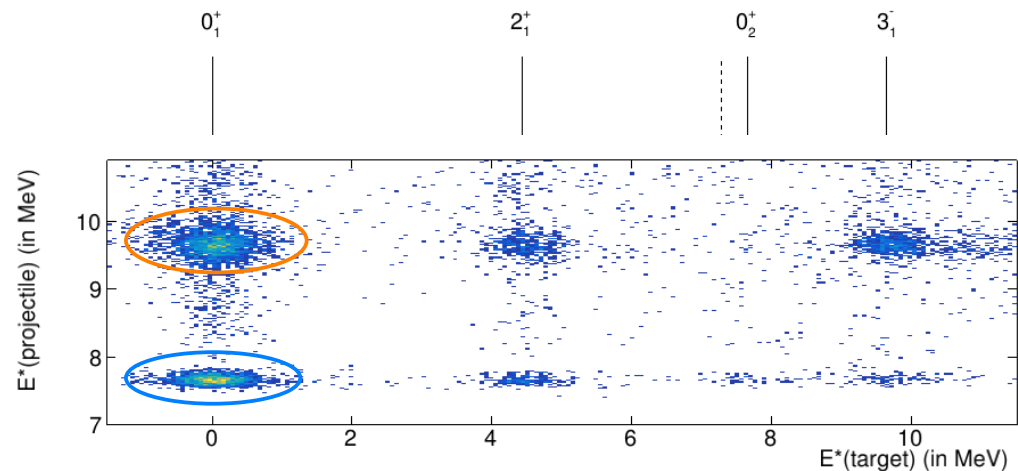


Gate on p' and t' states

We can now select both p' and t' states : we know everything about the reaction and the background drops significantly.

Diffusion on groundstate

The angular distribution of hoyle and 3- diffusion on t' groundstate are typical of $\Delta l=0$ and $\Delta l=3$ momentum transfer.



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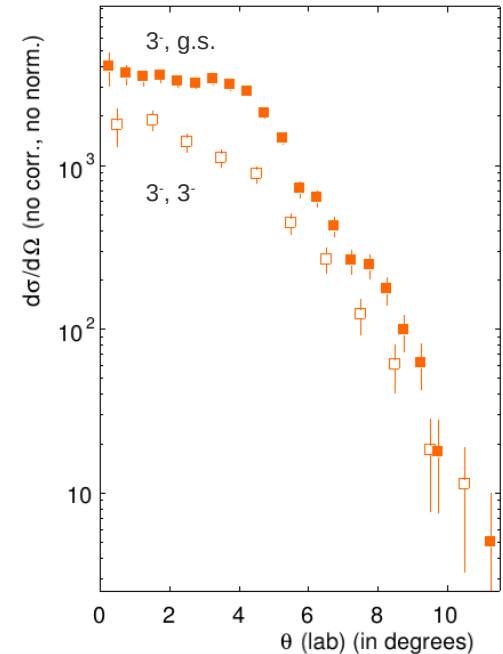
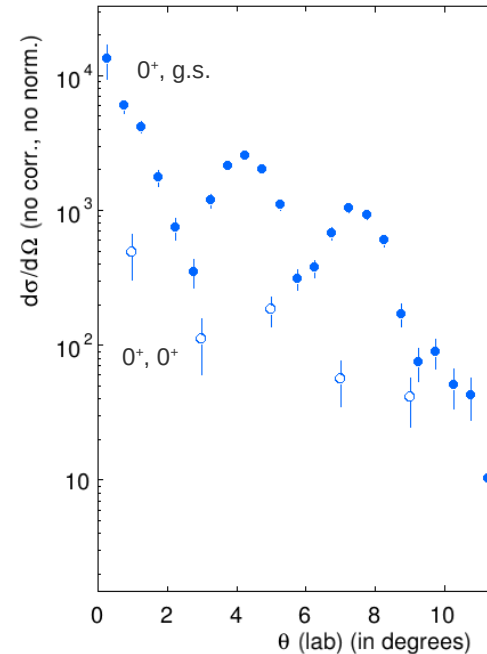
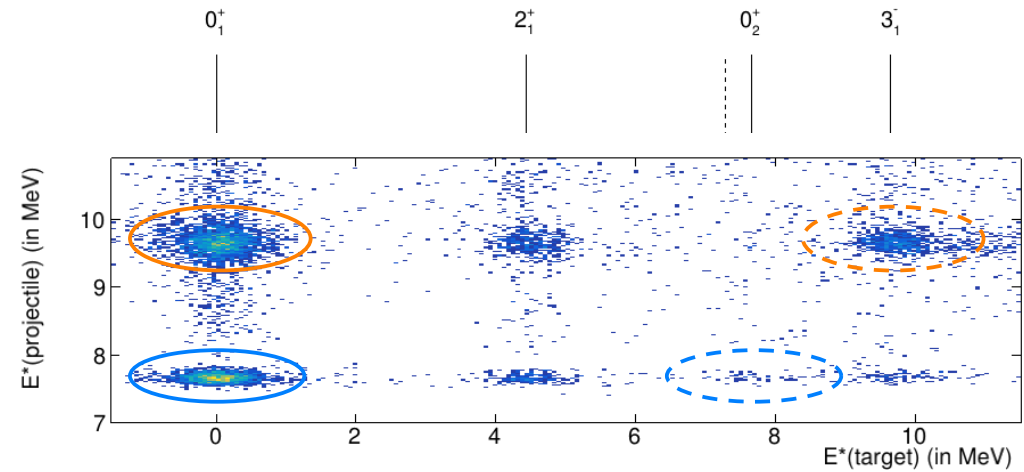
Diffusion on groundstate

The angular distribution of hoyle and 3^- diffusion on t' groundstate are typical of $\Delta l=0$ and $\Delta l=3$ momentum transfer.

Double excitation

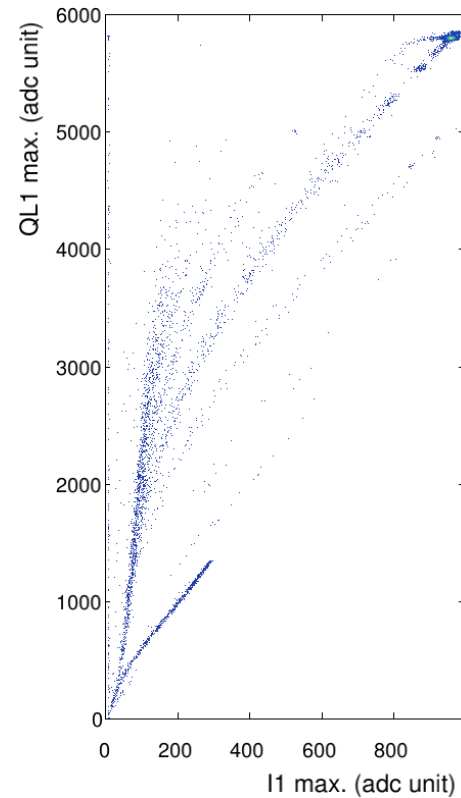
For hoyle and 3^- diffusing on themselves we have less statistics but similar patterns. Not sure how to interpret this... It has already been measured ?

→ Double differential cross-section should be efficiency corrected and normalised



Experiment

- ◆ Correct/normalise the cross sections
- ◆ Publish experimental data
- ◆ Other channels also visible (^{11}C , ^{13}C , ^{10}Be ...)
- ◆ Also adding particles in INDRA



Transition densities and form factors in the triangular α -cluster model of ^{12}C with application to $^{12}\text{C} + \alpha$ scattering

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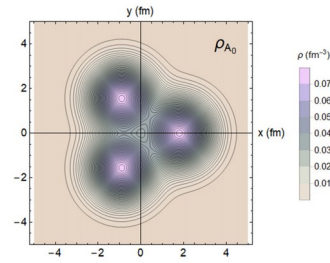


FIG. 2. Contour plot of density in fm^{-3} (cut on the $z = 0$ plane), ρ_B , in Eq. (2), of the ground-state static triangular configuration (with A symmetry).

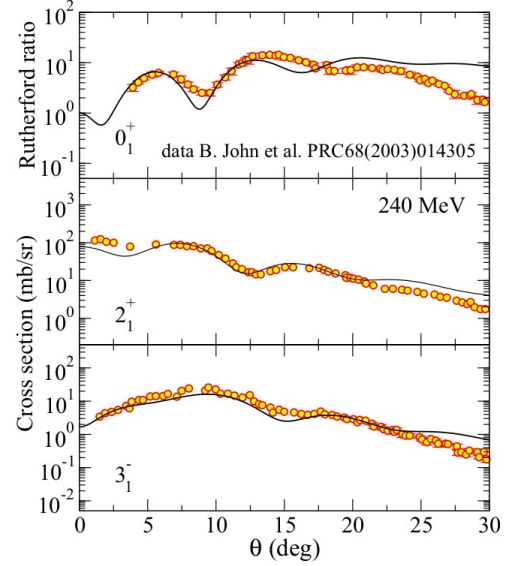
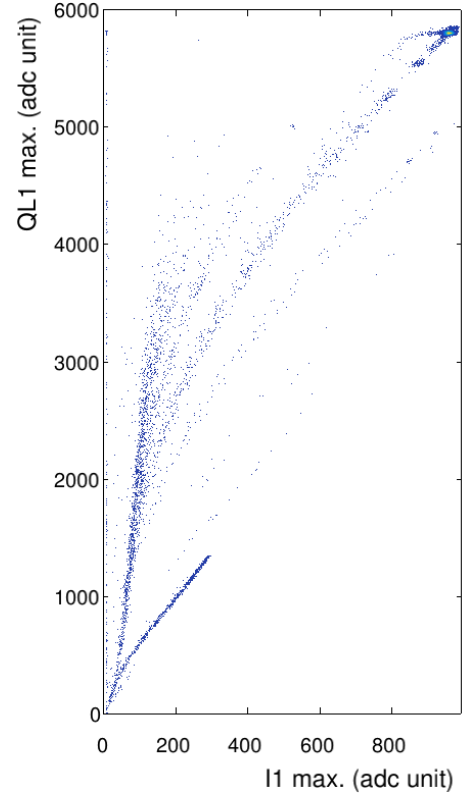


FIG. 16. Differential cross section for the elastic scattering and the transitions $0_1^+ \rightarrow 2_1^+$ and $0_1^+ \rightarrow 3_1^-$ at 240-MeV bombarding energy. Data are from Ref. [41] (retrieved through EXFOR).

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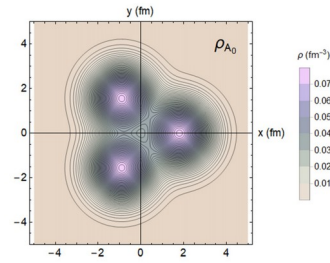


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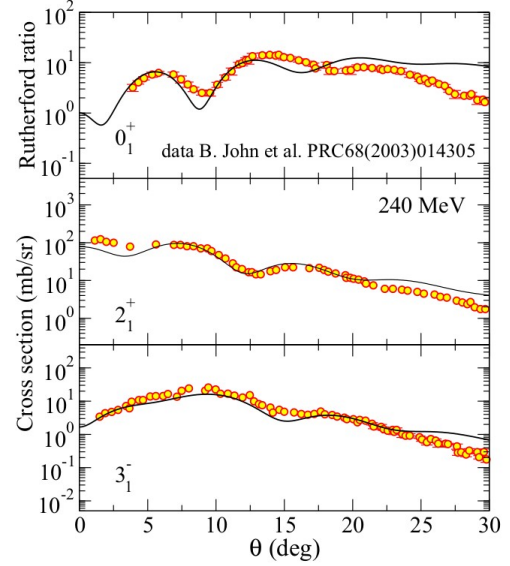
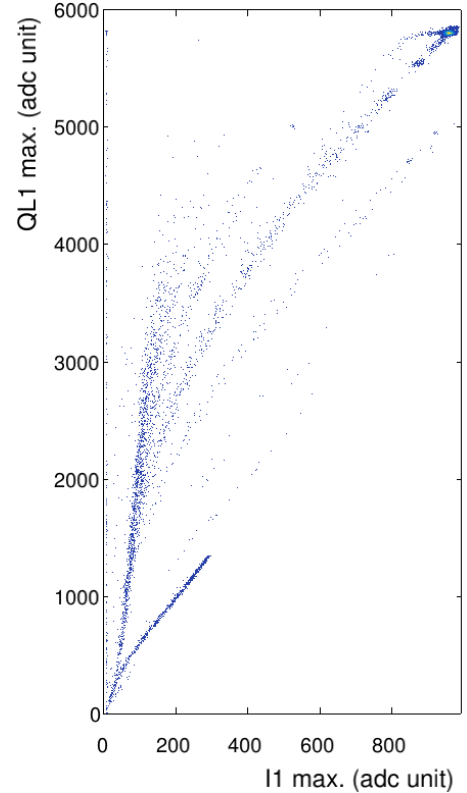


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Future possibilities

- ◆ FAZIA + position sensitive detector
- ◆ FAZIA with Si around target (I. Martel)
- ◆ FAZIA + ACTAR (identification + resolution)

Correlations

Now we can correlate the projectile and target ejectile excitation energy. All combination of projectile and target are observed except (3^- , hoyle)

Projectile 0^+

The ^{12}C target excitation energy can then be deduced from the projectile excitation energy and momentum (binary reaction). Most ^{12}C states (including g.s.) are visible.

Differential cross section

