# Neural network time-series classifiers for GW searches in single-detector periods

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## Gravitational waves detection problem





### Rare and weak signals in complex background: non-Gaussian non-stationary



 $(R<sub>S</sub>)$ ation Separa 0

# Glitches zoo







# Data representation

**Data representation**  Spectrogram vs Time series Choice to make for Machine learning application





# ML used for GW signal detection

### Example: M. B. Schäfer et al. Phys. Rev. D 107 [\(2023\) 023021](https://journals.aps.org/prd/abstract/10.1103/PhysRevD.107.023021)

### **Lot of literature see e.g. this page: [https://iphysresearch.github.io/](https://iphysresearch.github.io/Survey4GWML/#fn:174) [Survey4GWML/#fn:174](https://iphysresearch.github.io/Survey4GWML/#fn:174)**



✓ Multi-detector search



# Work presented here

Classification of segments of data Time-series representation  $\times$  Training on real data Focus on single detector periods Analysis of L1 single detector periods in O1 Paper available at: [A. Trovato et al. arXiv:2307.09268](https://arxiv.org/abs/2307.09268) 



# Single-detector time

Glitch impact on sensitivity is larger during single-detector periods as coincidence with additional detector is impossible. Can machine learning help?



### $\sim$  ~2.7 months in O1+O2; ~1.6 months in O3: ~ 1.4 months until now in O4

Single-detector time:







# Training data: 3 classes

Segments of glitches and "clean" noise data samples from the one month of LIGO O1 run (downsampled to 2048 Hz), whitened by the amplitude spectral density of the noise.

Data containing glitches (glitches inferred from 2+ detector periods with gravity spy and cWB)



Real detector noise from real data when nor glitches nor signals nor injections are present

Real detector noise (selected as noise class) + BBH injections

# Training and testing datasets



- month of L1 data without know GW detections (between Nov 25, 2015 and Dec 25, 2015)
- Segments of fixed duration: **1 second**
- **Bandpass filter [20,1000] Hz**
- **No superposition** between segments
- Glitch **position random** in the segment (if short duration, fully contained) or tailing over multiple segments if duration  $> 1$  s
- Samples for training:
	- Noise: 2.5e5
	- Signal: 2.5e5
	- Glitch: 0.7e5
	- Samples for testing:
		- Noise: 5e5
	- Signal: 5e5
	- Glitch: 0.8e5

Signal injection:

- **Position random** in the segment but almost fully contained
- Type pf signal: (BBH, waveform model SEOBNRv4)
	- **• m1,m2** ∈ **(10,50) M**⊙ **& m1+m2** ∈ **(33,60) M**⊙
	- **• SNR** ∈ **(8,20)**



CNN : Convolutional Neural Network  $\checkmark$  Similar choice to previous works

# NN architectures

TCN : Temporal Convolutional Network IT : Inception Time

After a rough optimisation of the hyperparameters of each model, we fixed  $\bigodot$ them and trained and tested the same model 10 times, choosing the model with the highest ROC (see next slides)



• Modern architectures based on CNN but conceived for time series classification • Applied to this problem for the first time

Input time series data

### Neural network

### Probability for each of the three classes



### Probability to be classified as signal Probability to be classified as signal can be used as test statistic



• Noise and glitch classes looks similar in all cases because in general the networks are not able to distinguish between glitch and noise (so they behave as only one class actually)

• We decided to focus on the signal identification and sum up noise + glitch





- train and test
- during training.

### Threshold  $FAR = 10^{-5} s^{-1}$



• TCN and IT perform similarly and outperform CNN • Efficiency better than 0.5 for SNR>9 at this level of FAR  $\bullet$  (1 alarm per 10<sup>5</sup> s = 0.864 alarms per day)

## Classification efficiency vs SNR for fixed FAR

 $1.0$ **CNN TCN** 0.9  $\mathsf{I}\mathsf{T}$ efficiency<br>0.7 Classification<br>
0.5<br>
0.4 0.6  $0.5$  $0.3$  $0.2$ 10 12



Only the best model out of the 10 repetitions considered for each architecture

# Trigger selection cut

The FAR level reached is compatible with our initial goal: 2 false alarms per day  $\Rightarrow$  FAR = 2.3 x 10-5 s-1

We focus on the stricter cut that we can consider: **Ps=1** at machine precision

With this cut we have:

Noise+glitch samples with  $P_s=1$ Equivalent FAR [s-1]

Equivalent FAR in days

Signal classification efficiency







already used for training and testing and know injections

• Periods around known GW detections have been examined separately

 $\odot$ 

### Triggers found in the remaining 3 months of O1

**& Selection cut: Ps=1** 

Samples with  $P_s=1$  in single-det time Samples with  $P_s=1$  in double-det time

### Only one event common to the three analyses: L1-only at **GPS=1135945474.0 (2016-01-04 12:24:17 UTC)**

![](_page_16_Picture_8.jpeg)

![](_page_16_Picture_73.jpeg)

Trigger rate excess for TCN. At the limits of expected trigger count for single-detector times. Exceed expectation for multiple detector times (clusters of triggers observed during three periods of O1 -- under further investigations).

![](_page_17_Figure_1.jpeg)

## Q-scan segment 4th January 2016

![](_page_17_Figure_5.jpeg)

![](_page_17_Picture_6.jpeg)

![](_page_18_Figure_4.jpeg)

Classifier IT  $10<sup>7</sup>$  $10^6$  $10<sup>5</sup>$ Segments labeled as Blips by GravitySpy  $\frac{9}{2}$   $\frac{10^4}{10^3}$  $10<sup>2</sup>$  $10^{1}$  $10^0$ 2  $-\log_{10}(1-P_s)$ 

# Is it a Blip?

19

### • Gravity Spy finds a Blip at 1135945474.373 • In general the population of Blips compatible with background: Jan 4 outlier for this population

![](_page_18_Figure_5.jpeg)

 $150 -$ 

 $100 -$ 

0.336

0.344

0.352

0.36

0.368

Time [seconds] from 2016-01-04 12:24:17 UTC (1135945474.0)

0.376

![](_page_18_Picture_6.jpeg)

![](_page_18_Picture_7.jpeg)

0.384

0.392

# Has it an astrophysical origin?

Checks that the transient signal is compatible with a GW waveform model

Independent check: denoising convolutional neural network by Bacon et al 2023 [Mach. Learn.: Sci. Technol. 4 035024](https://iopscience.iop.org/article/10.1088/2632-2153/acd90f)

Bayesian parameter estimation: [Bilby](https://iopscience.iop.org/article/10.3847/1538-4365/ab06fc)

![](_page_19_Picture_9.jpeg)

![](_page_19_Figure_4.jpeg)

A. Trovat

 $Output =$ reconstructed clean input Decoder  $f_\theta$  $\mathbf{x}'$ 

### Enconder and decoder are CNNs

Denoising: model that takes noisy signals and returns clean signals

![](_page_20_Picture_4.jpeg)

# Bilby reconstruction

![](_page_20_Picture_5.jpeg)

![](_page_20_Figure_1.jpeg)

• Bilby run using the IMRPhenomXPHM waveform model and assuming component spins are coaligned with the orbital momentum (no marginalisation over calibration uncertainties ) • Signal-versus-noise log Bayes factor of 47, no significant residual

![](_page_21_Figure_0.jpeg)

![](_page_21_Figure_1.jpeg)

Consistent with BBH population observed so far

![](_page_21_Picture_4.jpeg)

![](_page_22_Picture_0.jpeg)

Architectures specifically designed for time-series classification, such as IT or TCN, outperform the standard CNN typically used so far

# Conclusion

1 month of O1 L1 data used for training and testing: obtain reasonable noise rejection and detection efficiencies on single-detector data

 $\checkmark$  In the past other papers have investigated this event (Alexander H. Nitz [et al 2020 ApJ 897 169](https://iopscience.iop.org/article/10.3847/1538-4357/ab96c7))

Application of the models on the remaining 3 months of O1 L1 data

All the classifiers independently detect on January 4, 2016

 $\vee$  Possible astrophysical origin investigated and looks plausible

![](_page_22_Picture_9.jpeg)

![](_page_23_Picture_0.jpeg)

**2 post-doc positions on GW data analysis at the University of Trieste will be opened soon!!** 

**Contact me if you are interested!**

Backup slides

![](_page_24_Picture_3.jpeg)

# Softmax activation

![](_page_25_Picture_18.jpeg)

**Noise**

**Noise + signal**

النحفل مستعين وتعريا بالمتلوقات بماسل المواج والمسلوب وأساء وأولى والمستعمل والمستوح والمتحاس والمستحق والمستحين والمستحيات والمستحيات

P<sub>signal</sub>, P<sub>noise, Pglicth</sub> Not normalised

Psignal, Pnoise, Pglicth **Normalised** 

We removed the use of the softmax activation step during the training, so that the loss function receives

![](_page_25_Picture_4.jpeg)

![](_page_25_Picture_5.jpeg)

**Fully Connected Layer**

**Softmax activation**

During the training this goes to the loss function which get optimised

• This was useful because often the membership probabilities in output of the softmax activation are close to one and their numerical precision can create problems and TCN and IT had an improvement when removing

- directly the output form the fully connected layer this activation
- activation to get normalised membership probabilities

• However when all the training is done the final output of the last epoch needs the use of only one last softmax

Single precision = significand precision: 24 bits (23 explicitly stored)  $\bullet$  The closest P<sub>s</sub> can get to 1 (without being 1) is P<sub>s</sub> = 1 - 2-24  $\bullet$  When calculating lambda out of it one gets:  $-log_{10}(1 - P_s) = 7.22$ 

## Single-precision floating-point format

![](_page_26_Picture_3.jpeg)

### Kernel density estimate of the distribution of  $log_{10}(1-P_s)$

![](_page_27_Figure_6.jpeg)

- $P_s = 0$  ->  $\lambda = 0$
- $P_s = 1$   $\rightarrow \lambda \rightarrow \infty$
- $P_s = 1 10^{-6}$  ->  $\lambda = 6$

## Signal classification vs mass and SNR

 $\alpha$  chirp mass  $\alpha$  17 M  $\alpha$  **and 21**  $\alpha$  chirp mass  $\alpha$  26 M  $\alpha$  **and 17**  $\alpha$  chirp mass  $\alpha$  21 M  $\alpha$ 

![](_page_27_Figure_3.jpeg)

![](_page_27_Picture_10.jpeg)

# CNN used as starting point

![](_page_28_Picture_13.jpeg)

CNN used: small network with 4 convolution layers (with dropouts and pooling) used as

### **Output: probability of** belonging to each class

## classifier to distinguish the 3 classes: noise, noise+signal, glitches

**Noise**

**Noise + signal**

**Glitch**

![](_page_28_Picture_172.jpeg)

![](_page_28_Picture_173.jpeg)

![](_page_28_Figure_2.jpeg)

**Fully Connected Layer**

**Optimiser:** Adam

Web page: https://github.com/philipperemy/keras-tcn Paper: https://arxiv.org/abs/1803.01271 Arguments of the TCN TCN(

# Temporal Convolutional Network

Same number of filters and nb\_filters=64, kernel size in all the layers kernel\_size=3, nb\_stacks=1, dilations=(1, 2, 4, 8, 16, 32), By default 6 layers padding='causal', use\_skip\_connections=True, dropout\_rate=0.0, return\_sequences=False, activation='relu', kernel\_initializer='he\_normal', use\_batch\_norm=False, use\_layer\_norm=False, use\_weight\_norm=False, \*\*kwargs

### Easy to install: *pip install keras-tcn*

2017).) The distinguishing characteristics of TCNs are: 1) the convolutions in the architecture are causal, meaning that there is no information "leakage" from future to past; 2) the architecture can take a sequence of any length and map it to an output sequence of the same length, just as with an RNN. Beyond this, we emphasize how to build very long effective history sizes (i.e., the ability for the networks to look very far into the past to make a prediction) using a combination of very deep networks (augmented with residual layers) and dilated convolutions.

![](_page_29_Picture_10.jpeg)

Pay attention to the **receptive field** (you how far the model can see in terms of timesteps)

$$
R_{field} = 1 + 2 \cdot (K_{size} - 1) \cdot N_{stack} \cdot \sum d_i
$$

**Results given here: nb\_filters=32, kernel\_size=16**

![](_page_30_Figure_0.jpeg)

function, and the green lines are identity mappings.

![](_page_30_Picture_2.jpeg)

Figure 1. Architectural elements in a TCN. (a) A dilated causal convolution with dilation factors  $d = 1, 2, 4$  and filter size  $k = 3$ . The receptive field is able to cover all values from the input sequence. (b) TCN residual block. An 1x1 convolution is added when residual input and output have different dimensions. (c) An example of residual connection in a TCN. The blue lines are filters in the residual

![](_page_30_Picture_4.jpeg)

![](_page_31_Picture_4.jpeg)

![](_page_31_Picture_5.jpeg)

# Inception time

![](_page_31_Figure_1.jpeg)

![](_page_31_Picture_6.jpeg)

### [https://arxiv.org/abs/1909.04939\)](https://arxiv.org/abs/1909.04939)

![](_page_32_Figure_0.jpeg)

ś,

5,5

# CNN

![](_page_32_Picture_4.jpeg)

![](_page_32_Picture_94.jpeg)

### Filter / Kernel

![](_page_32_Picture_12.jpeg)

![](_page_32_Figure_7.jpeg)

### Input

![](_page_32_Picture_95.jpeg)

### Filter / Kernel

![](_page_32_Picture_96.jpeg)