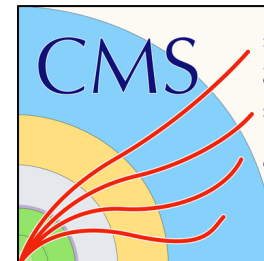




# Trigger Studies for Self-Interacting Dark Matter at CMS

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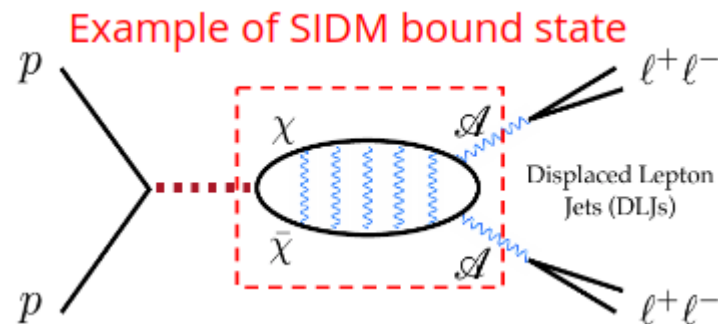
25-09-2019

# Outline

- **Introduction:**
  - Self-Interacting Dark Matter
  - CMS and trigger systems
- **Purpose and analysis overview**
- **Analysis and results**
  - Per-object efficiency: tag and probe method
  - Per-event efficiency
- **Conclusions**

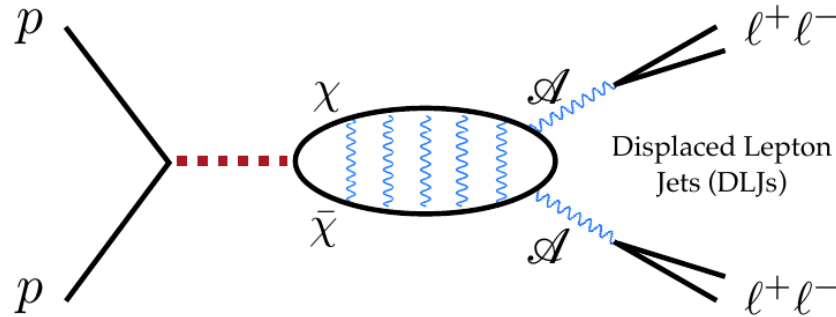
# Self-Interacting Dark Matter

- **Dark Matter** (DM) is ‘weakly’ interacting matter that is **postulated** to exist to explain several **astrophysical observations**.
- **Self-Interaction Dark Matter** (SIDM) models assume dark matter has self-interactions (ie, **bound states** exist)
- The **SIDM group** at Fermilab is considering the following SIDM model:
$$\mathcal{L}_{\text{SIDM}} = \bar{\chi}(i\not{\partial} + \underbrace{g_{\chi}\mathcal{A}} - m_{\chi})\chi + \frac{1}{2}m_{\mathcal{A}}^2\mathcal{A}_{\mu}\mathcal{A}^{\mu} + \frac{1}{2}\epsilon_{\mathcal{A}}\mathcal{F}_{\mu\nu}\mathcal{F}^{\mu\nu}$$
- Fermionic dark matter particles  $\chi$  couples to a dark photon  $\mathcal{A}$  with mass  $m_{\mathcal{A}}$



[Displaced Lepton Jet Signatures from Self-Interacting Dark Matter Bound States - Tsai, Yuhsin et al. JHEP 1908 (2019) 131 arXiv:1811.05999 [hep-ph] ]

# Production and decay



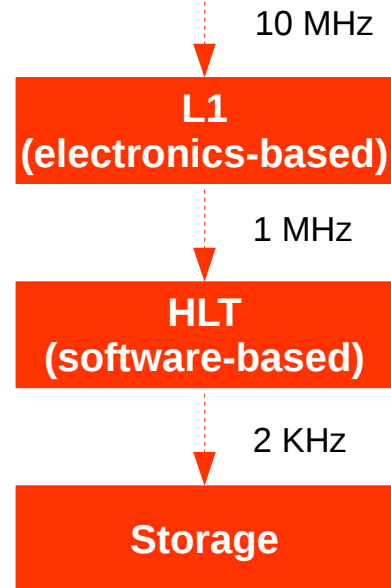
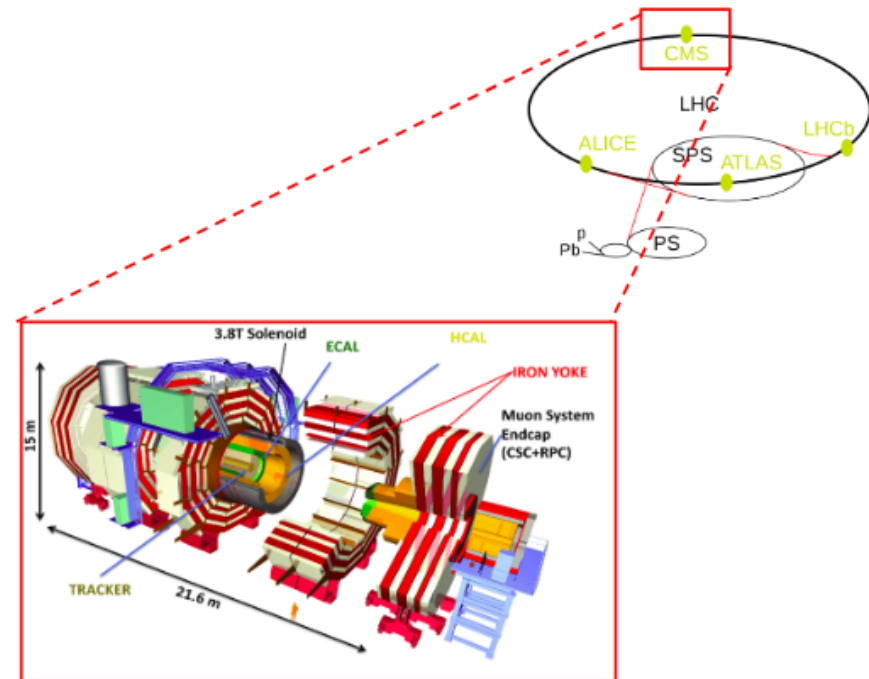
- The SIDM bound state decays in two dark photons
- A dark photon is a **long-lived particle** (LLP), decaying outside the inner tracker
- Dark photons decay in lepton jets (LJ), i.e. **groups of SM leptons collimated in a tight cone**
- LJs can be **mu**, **electron** or **mixed-type** (electron-type are difficult to study)
- **Signal:** two or more displaced LJ back-to-back in the detector ( $\Delta\eta > 2.5$ )
- **Backgrounds:** QCD and Drell-Yan processes

# CMS and trigger systems

- What is CMS?
- What is a trigger and why we need it?
- What is trigger efficiency?

$$\epsilon = \frac{\text{\#interesting events triggered}}{\text{\#interesting events produced}}$$

- How do we use trigger efficiency?
- What is a trigger object (TO)



# Purpose and Analysis Overview

Compute the efficiency of a trigger system that selects events with 2 muon-type LJs



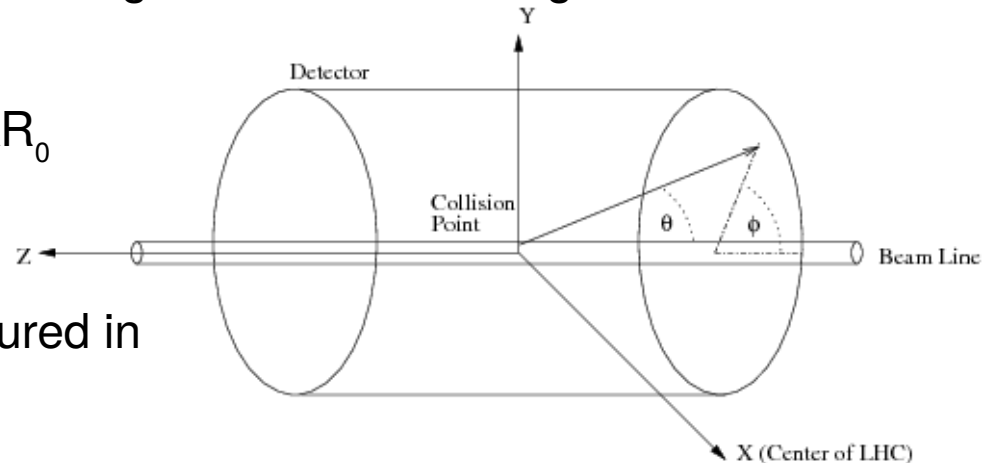
- We do not have 2 LJ triggers → we use double Mu triggers (TOs are muons)
- The analysis is divided into 2 parts:
  1. Compute probability for a LJ to contain 1 or 2+ TOs (per-object eff.  $\epsilon_o$ )
  2. Compute probability for 2 LJs to contain 2+ TOs (per-event eff.  $\epsilon_e$ )

# Per-object efficiency: tag and probe method

- We select all possible pairs of Mu-type LJs (same event)
- We consider all the pairs with at least a LJ (**tag**) containing at least a TO
- The other LJ (**probe**) can either contain a TO or not.
- Per-object efficiency is:  $\varepsilon_o = \frac{\# \text{good probes}}{\# \text{tags}}$
- That is the probability for a LJ to contain at least 1 TO
- **Note:** each LJ can be both tag and probe  $\rightarrow$  roles must be inverted
- **Reference trigger:** we want to be sure tag would be saved regardless of the 2Mu triggers
- A TO is contained in a LJ if:  $\Delta R < \Delta R_0$

$$\Delta R = \sqrt{(\Delta\phi)^2 + (\Delta\eta)^2}$$

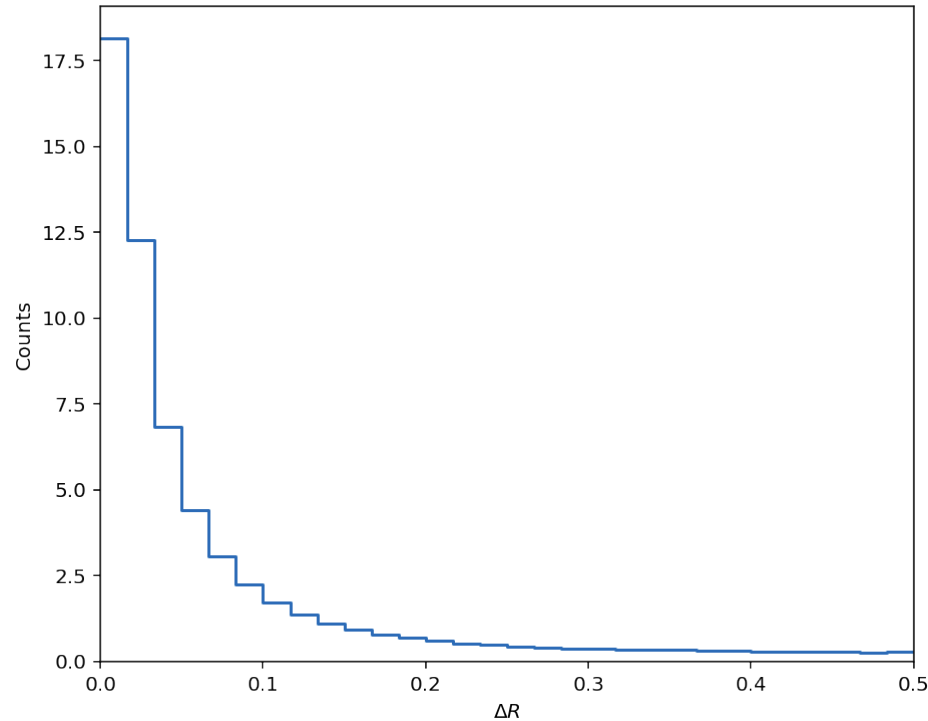
Where  $\varphi$  and  $\eta$  are meant as measured in the innermost part of the detector



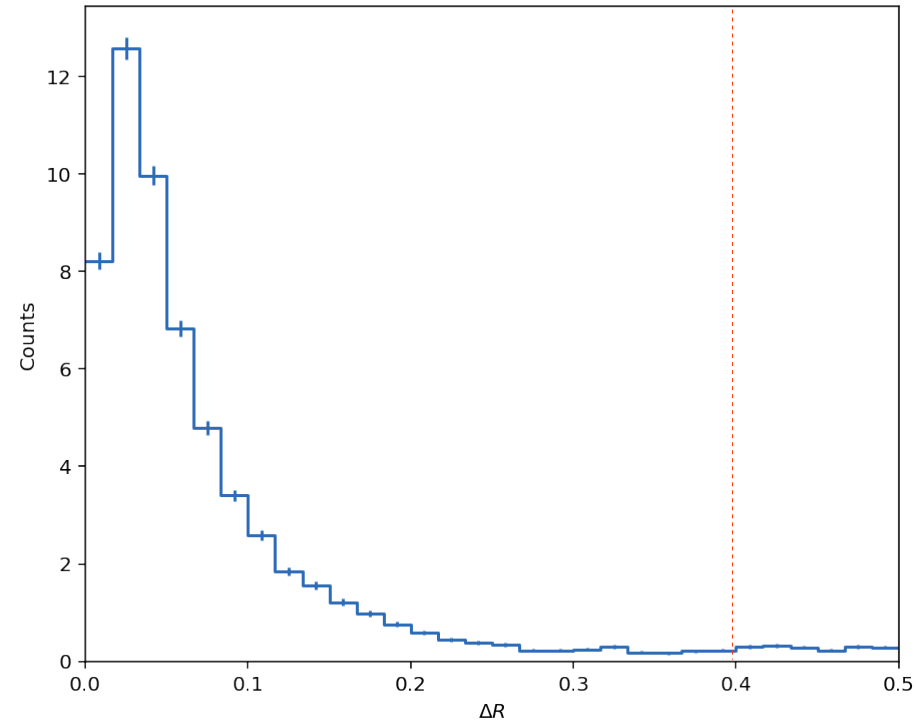
# Preliminary study of $\Delta R$

- In the SIDM model, LJs have size of  $\Delta R \sim 0.5$
- Distance between a given TO and the closest LJ is well below 0.5

Distance between a trigger object and the closest muon



Distance between a trigger object and the closest lepton jet

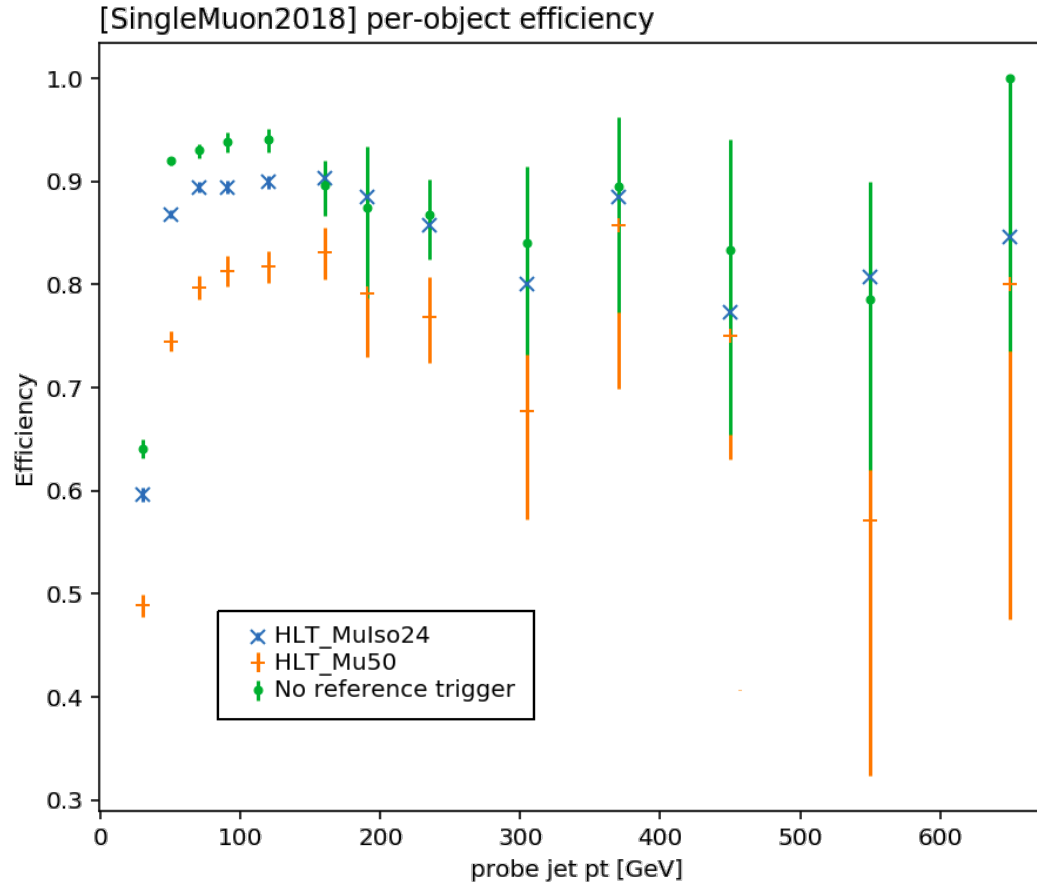


- We decide that a LJ is matched by a TO if  $\Delta R < \Delta R_0 = 0.4$
- Condition for tag and probe:  $\Delta R > 0.8$  (otherwise, pair rejected)



# With reference trigger vs without

- We used two different reference triggers (**HLT\_Mu50** and **HLT\_Mulso24**)

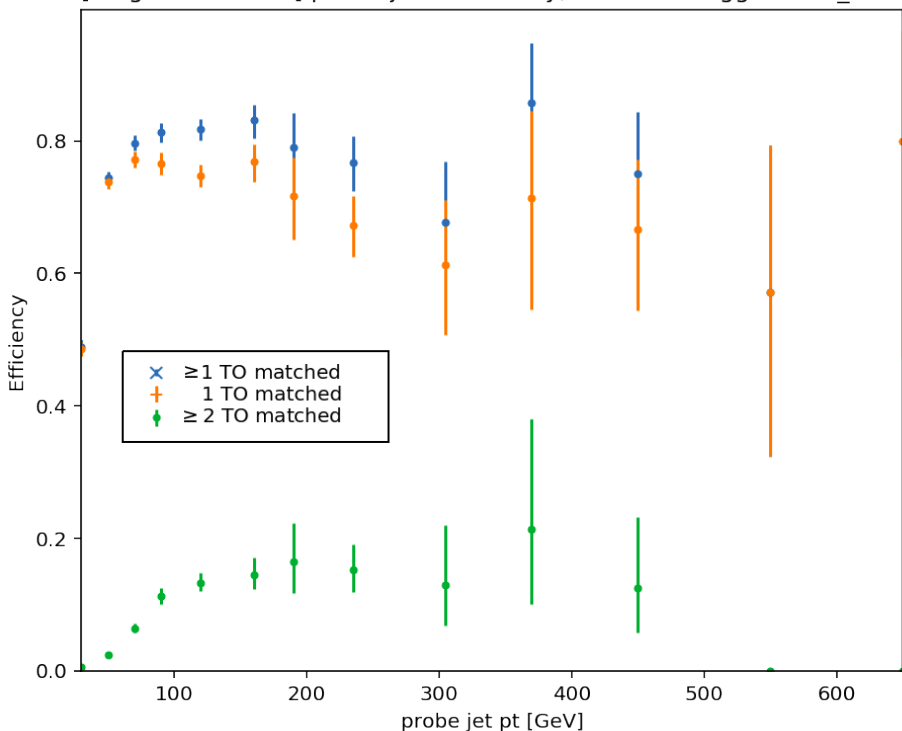


- Discrepancy between HLT\_Mu50 and HLT\_Mulso24 may be due to the different L1 seeds (L1 trigger outcome)

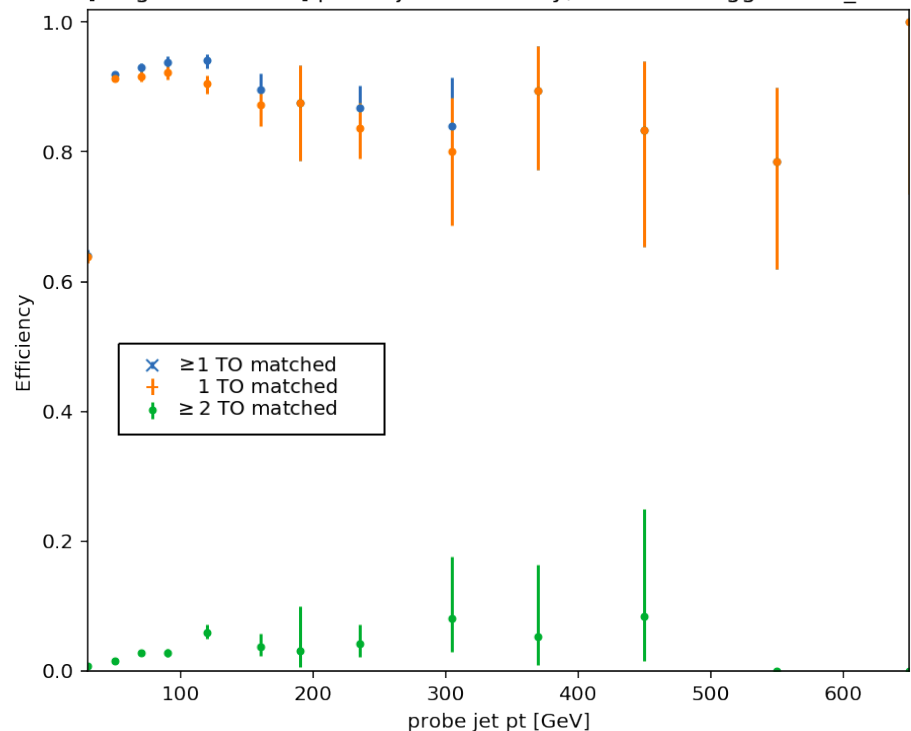
# How many TOs in a LJ?

- Each LJ can be matched by more than one TO
- To compute per-event efficiency, we need to know what fraction of LJ is matched by 1 TO or 2+ TOs

[SingleMuon2018] per-object efficiency, reference trigger: HLT\_Mu50

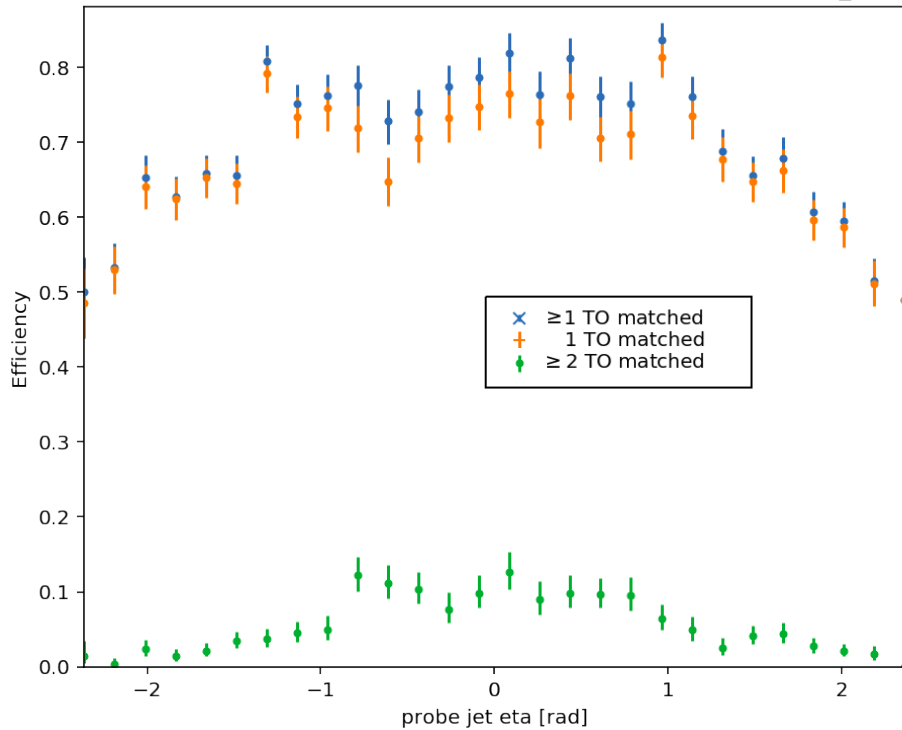


[SingleMuon2018] per-object efficiency, reference trigger: HLT\_Mulso24

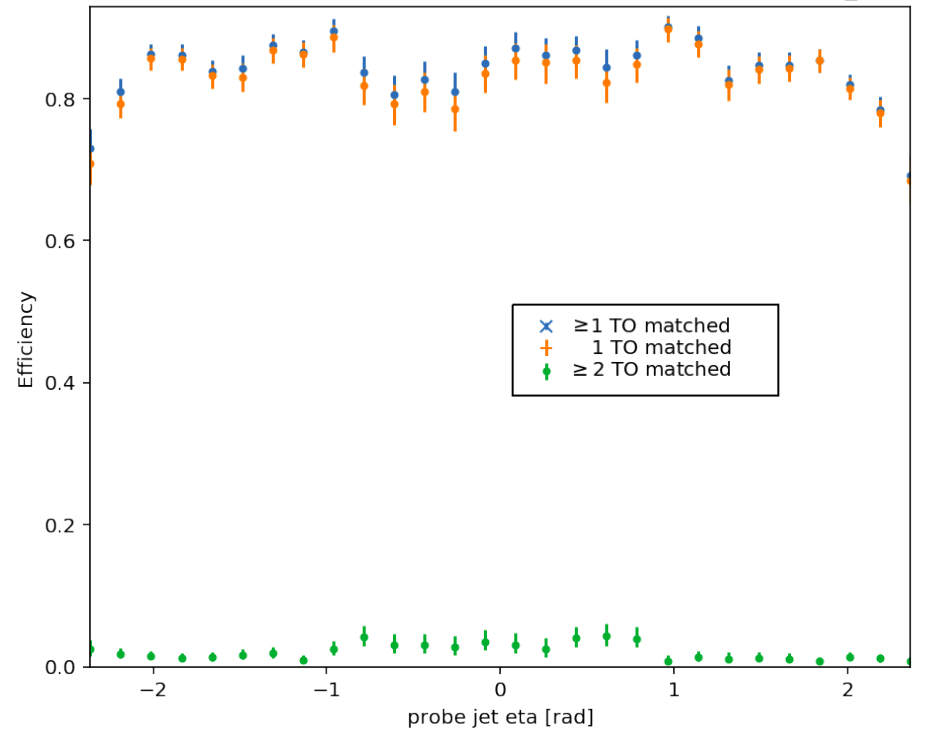


# Control Region Data (Eta)

[SingleMuon2018] per-object efficiency, reference trigger: HLT\_Mu50

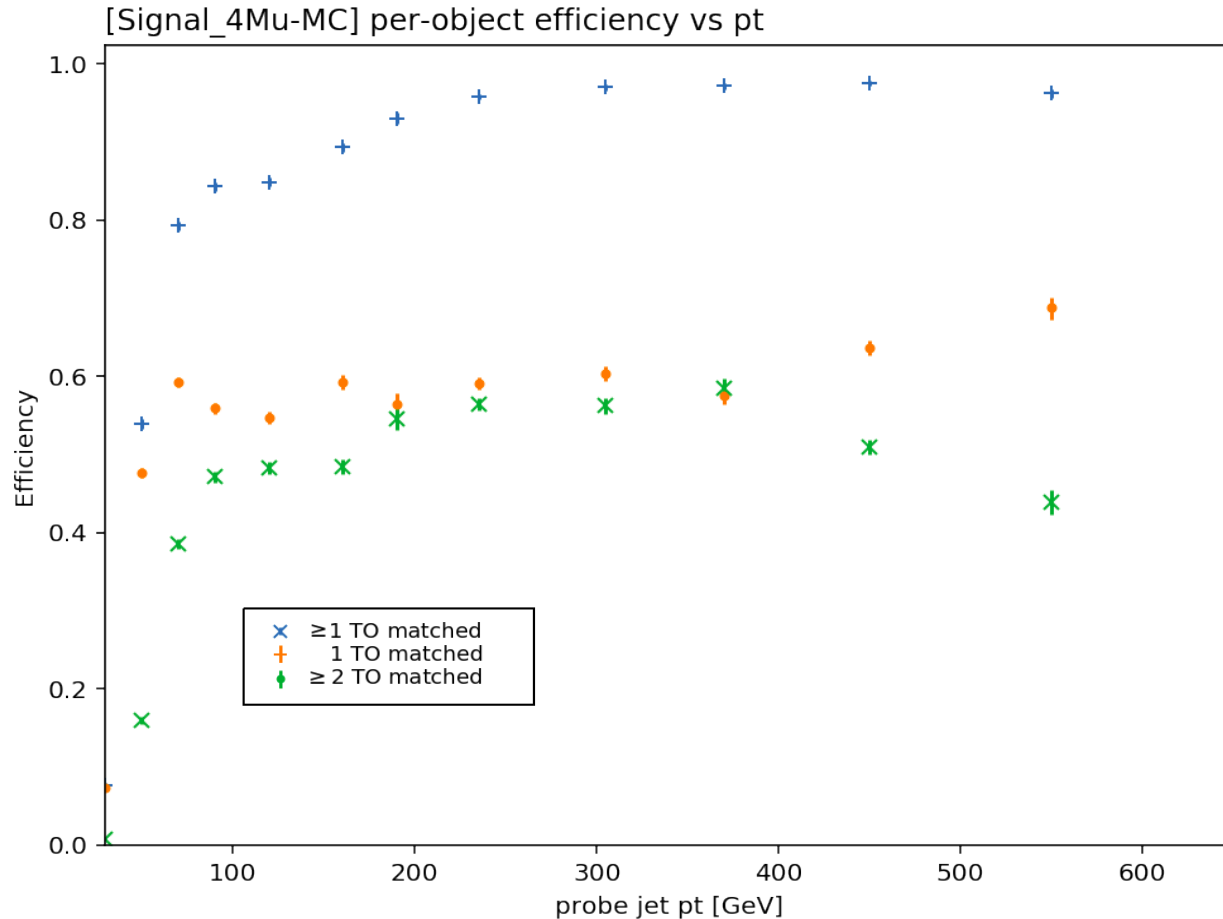


[SingleMuon2018] per-object efficiency, reference trigger: HLT\_Mulso24



# MC Signal Region (Pt)

- For MC we do not need reference a trigger
- In the signal events, more lepton jets will have two real muons (higher fraction of 2+ TO)



# Plateau values

- The plateau values for Pt efficiencies were computed after applying a Pt cut to the efficiency curves and averaging over the plateau points
- The values are:

TOs	Control Region (Mu50)	Control Region (MuIso24)	MC Signal
$\geq 1$	$0.78 \pm 0.09$	$0.84 \pm 0.07$	$0.99 \pm 0.01$
1	$0.69 \pm 0.10$	$0.83 \pm 0.09$	$0.58 \pm 0.05$
$\geq 2$	$0.15 \pm 0.04$	$0.11 \pm 0.02$	$0.56 \pm 0.06$

- We will use these values to compute per-event efficiency
- **Note:** for more accurate computation, binned histogram values should be used

# Per-event efficiency: two methods

We want to compute the probability for 2 LJs to contain 2+ TOs

**1. Montecarlo:** combining per-object probabilities with a simulation

(applicable for events with more than 2 LJs too)

**2. Analytical Method:**

Assuming per-object probabilities are independent:

$$P_{2LJs}(TOs \geq 2) = P(1)^2 + P(\geq 2)^2 + 2P(0)P(\geq 2) + 2P(1)P(\geq 2)$$

LJ <sub>A</sub>	LJ <sub>B</sub>
1	1
1	$\geq 2$
$\geq 2$	1
0	$\geq 2$
$\geq 2$	0
$\geq 2$	$\geq 2$
1	0
0	0

# Per-event efficiency: final results

- Probability for a 2 LJs to contain at least 2 TOs
- The two methods produce consistent results within the errors
- Montecarlo result is systematically smaller

Method	Control Region (Mu50)	Control Region (MuIso24)	MC Signal
Analytical	$0.81 \pm 0.04$	$0.86 \pm 0.05$	$1.00 \pm 0.01$
Montecarlo	$0.76 \pm 0.07$	$0.81 \pm 0.09$	$0.98 \pm 0.02$

# Conclusions

**The results are good, but there are further steps to take:**

- Understand the dependence on the reference trigger
- Combine per-object efficiency as probability distribution, not only plateau value
- Compare efficiencies between MC and Data

**What I learned:**

- Dark matter phenomenology (SIDM and LJs)
- CMS data analysis: crab and condor utilities
- Array programming and Coffea library: a possible ROOT's successor

**How my work will help the SIDM group:**

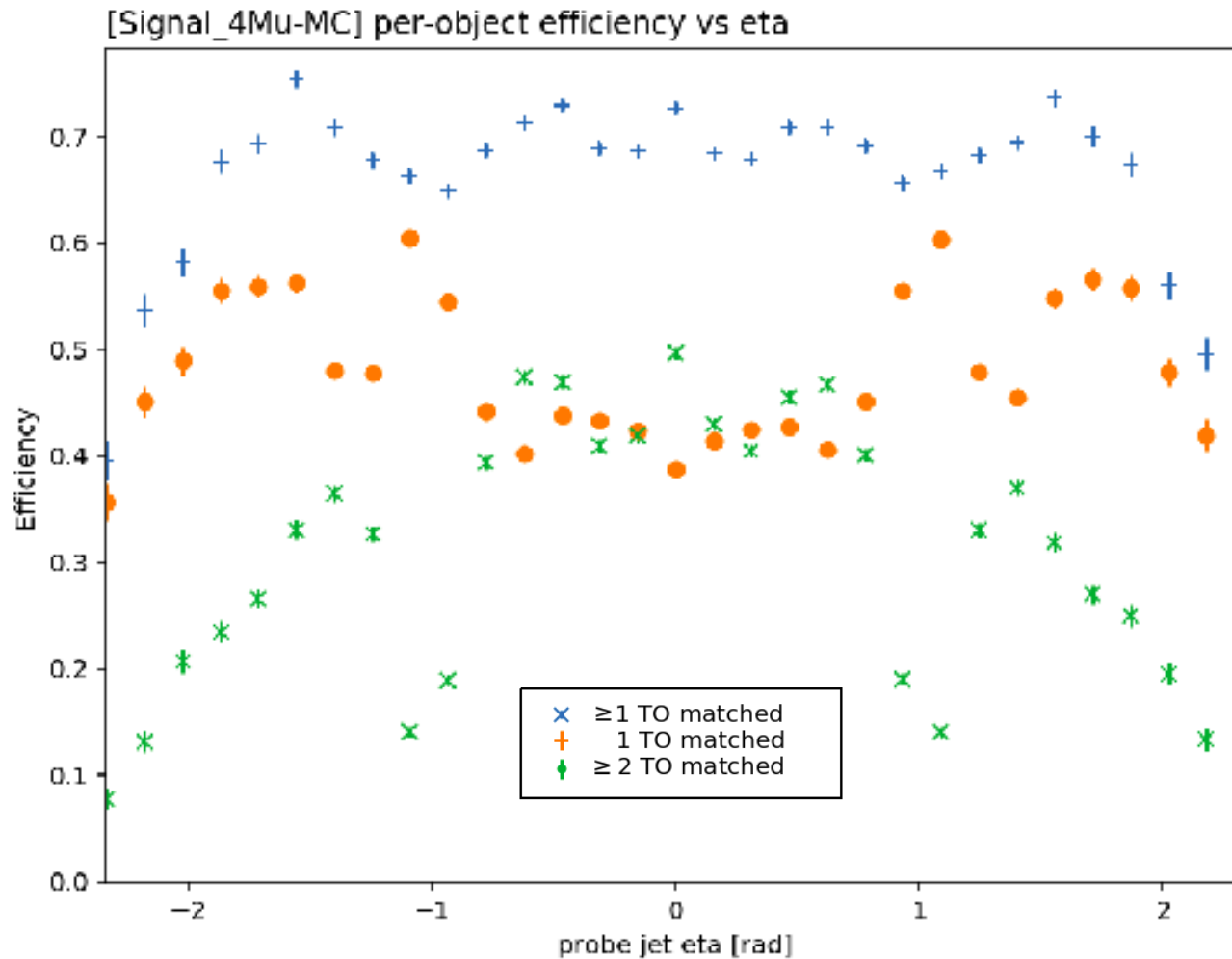
- I produced useful code that will be used to conclude trigger analysis



**Thanks for your attention**

# Backup

# MC signal samples: efficiency vs Eta



# Signal parameters

**Bound state mass:** [100, 150, 200, 500, 800, 1000] GeV

**$c \cdot \tau$  (mean  $L_{xy}$ ):** [0.3, 3, 30, 150, 300] cm

**Dark photons mass:** [0.25, 1.2, 5] GeV

# Trigger paths

Logical OR of:

- HLT\_DoubleL2Mu23NoVtx\_2Cha
- HLT\_DoubleL2Mu23NoVtx\_2Cha\_NoL2Matched
- HLT\_DoubleL2Mu23NoVtx\_2Cha\_CosmicSeed
- HLT\_DoubleL2Mu23NoVtx\_2Cha\_CosmicSeed\_NoL2Matched
- HLT\_DoubleL2Mu25NoVtx\_2Cha\_Eta2p4
- HLT\_DoubleL2Mu25NoVtx\_2Cha\_CosmicSeed\_Eta2p4

**$\geq 2$  L2 muons;  $p_T > 23\text{GeV}$ ;  $|\eta| < 2.0$ ;  $\geq 2$  muon chambers**

**NoVtx**: L2 muons are reconstructed with “**NoVtx**” algorithm

**NoL2Matched**: add **SingleMu22** L1 seed in addition to original DoubleMu\_15\_7;  
mitigates rapid efficiency

loss with d0 at L1.