



***EFFECT OF SYSTEMATIC UNCERTAINTIES
ON NOVA FAR/NEAR EXTRAPOLATION
USING FNEX***

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ABSTRACT

- ❖ Neutrino oscillations physics in the NOvA experiment
- ❖ Studying the effect of systematics using FNEX
- ❖ Implementation of the *OscPlots* class in FNEX
- ❖ Conclusions

THE NO ν A EXPERIMENT

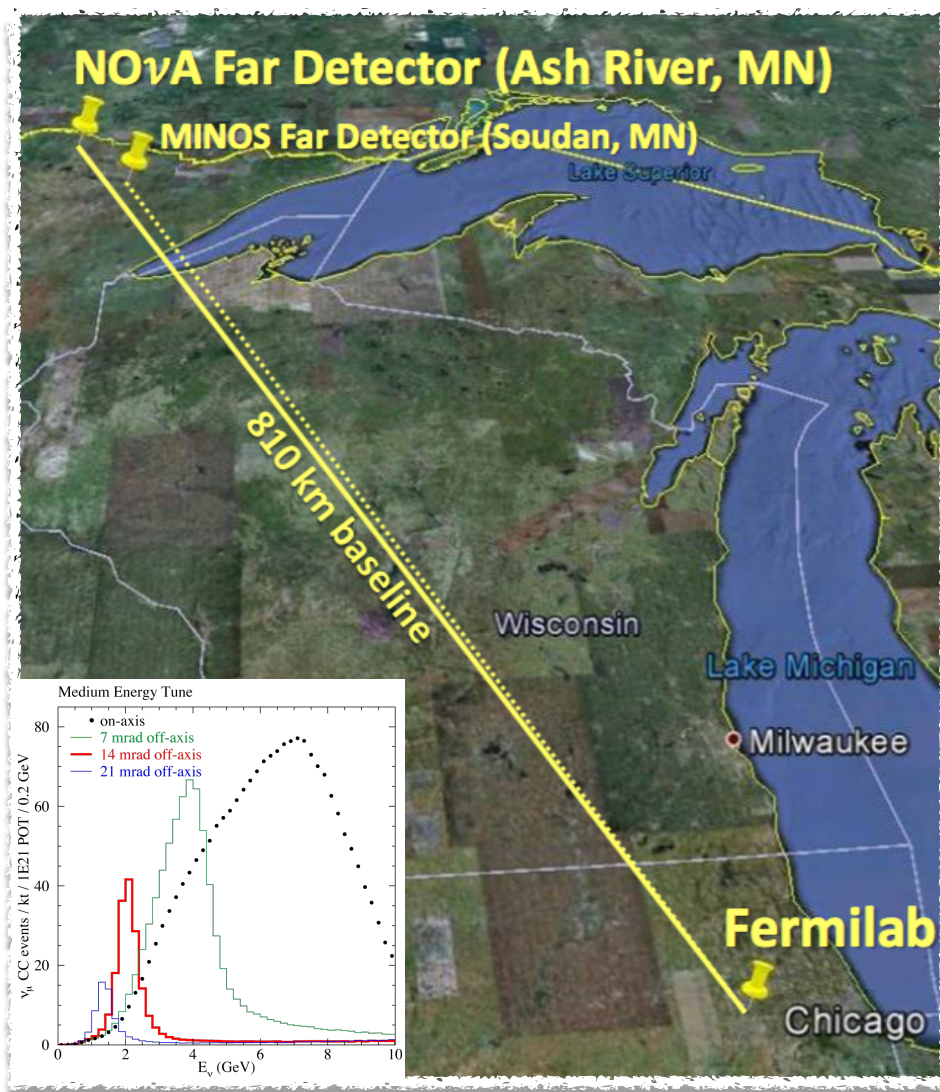
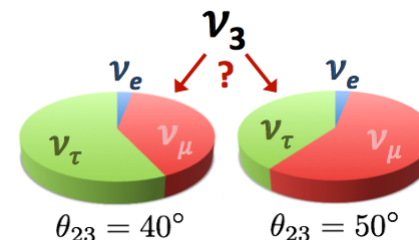
NUMI OFF-AXIS ν_e APPEARANCE

Study of the **neutrino oscillations** in the channels:

$$\begin{aligned} \nu_\mu &\rightarrow \nu_e & \bar{\nu}_\mu &\rightarrow \bar{\nu}_e \\ \nu_\mu &\rightarrow \nu_\mu \end{aligned}$$

MAIN GOAL: get a measurement of

- ◆ θ_{13}
- ◆ **CP violation** in the leptonic sector



Furthermore...



Describe the **asymmetry** between matter/antimatter and solve the puzzling problem of the **ordering of neutrino mass states**

THE DETECTORS

12 km from the central axis
of the NuMI beam

Extruded PVC cells filled with
11M liters of scintillator
instrumented with
 λ -shifting fiber and APDs

15.6 m

Far Detector
14 kton
896 layers

Near Detector
0.3 kton
214 layers

4.1 m



FAR/NEAR EXTRAPOLATION PACKAGE

FNEX package works in the ART framework and provides the tools to easily perform:

- ★ First analysis cuts
- ★ Full **FD/ND extrapolation**

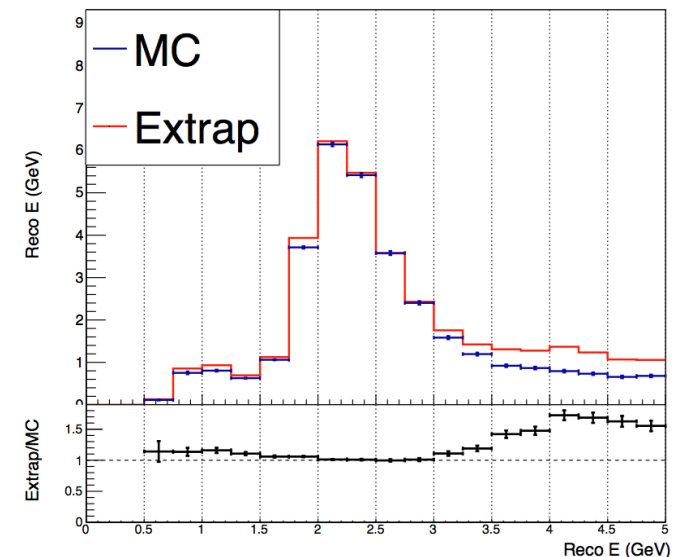
$$FD_{(EXTRAP.)} = FD_{(MC)} \times \frac{ND_{(DATA)}}{ND_{(MC)}}$$



- ★ Find best fit **oscillation parameters**

$$\chi^2 = \sum_{\text{all bins}, i} \left(N_{MC, i} + b_i - N_{DATA, i} \ln \frac{N_{DATA, i}}{N_{MC, i} + b_i} \right) + \sum_k \left(\frac{(\epsilon_k - \langle \epsilon_k \rangle)^2}{\sigma_{\epsilon_k}^2} \right)$$

- ★ **Confidence intervals** and much more...



SYSTEMATIC UNCERTAINTIES : how do they affect our final plots?

MAIN SOURCE



Likely mis-modeling of hadronic production in $\nu_{\mu} CC$ interactions



There exists discrepancy between Data and MC

Translating systematics into FNEX...

* *Hadronic Absolute Shift* ($\pm 21\%$)

involves both ND and FD

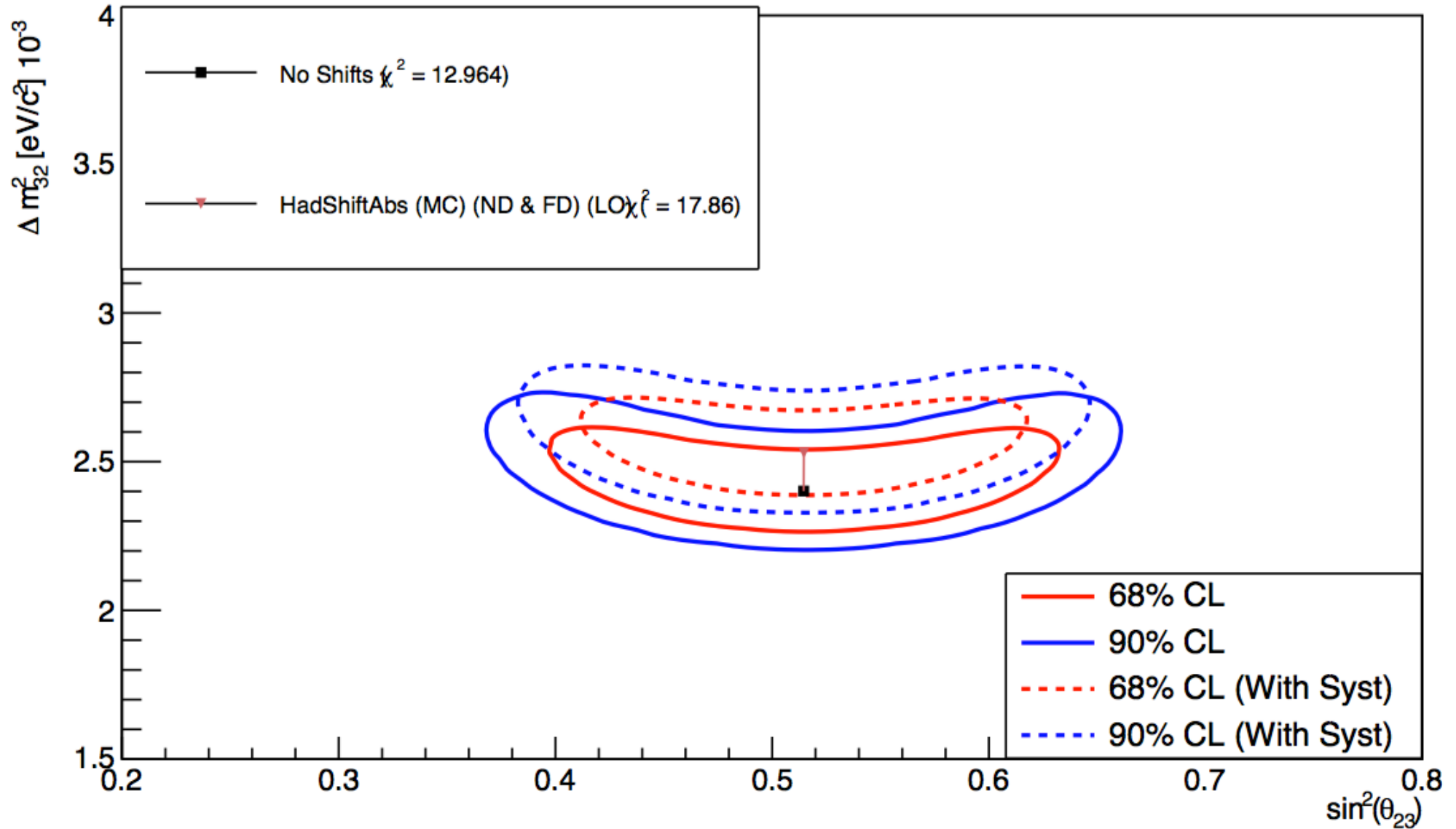
* *Hadronic Relative Shift* ($\pm 6\%$)

FD only

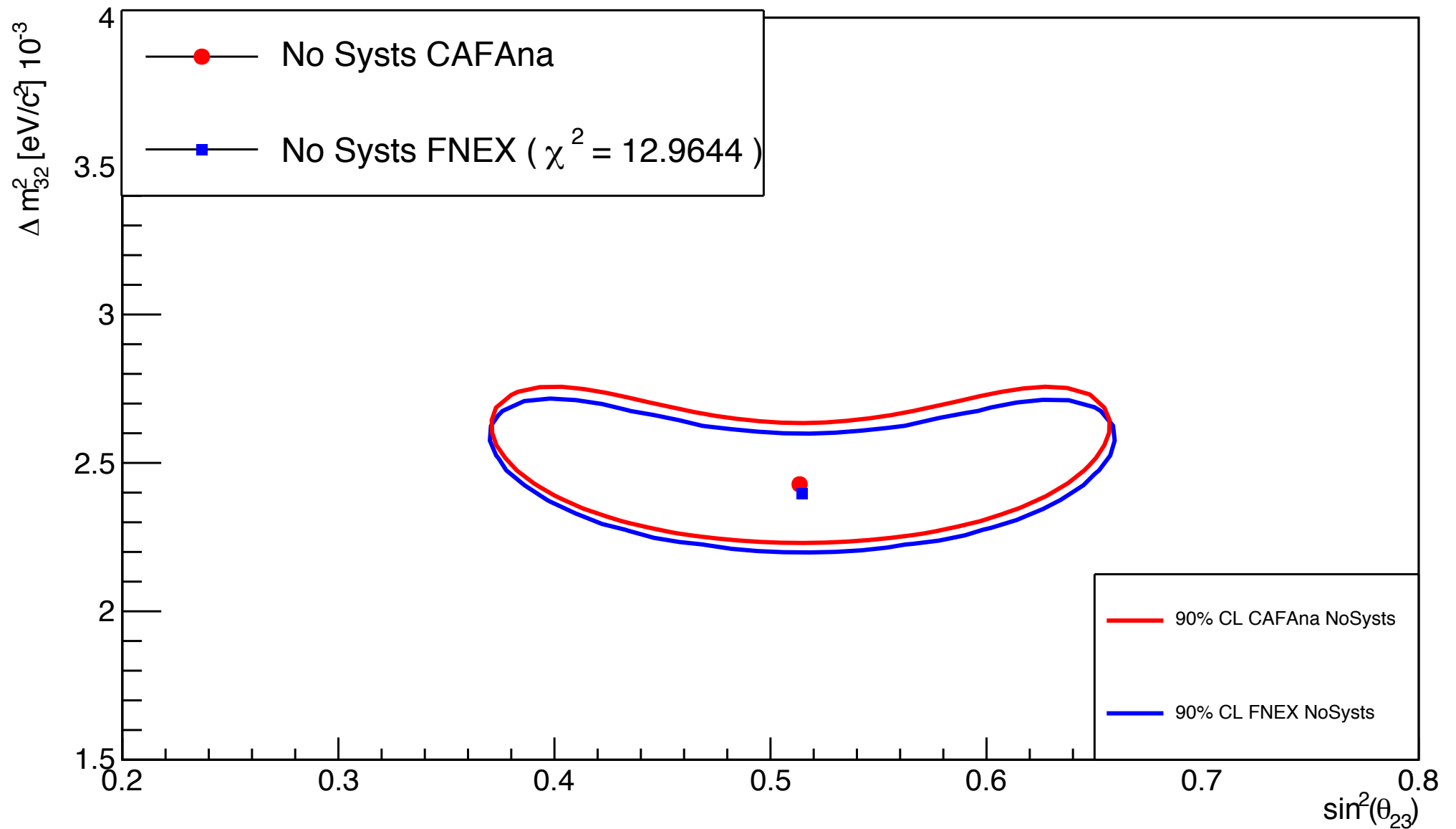
* *Hadronic Relative Normalization Shift* ($\pm 2.2\%$)

FD only

HADRONIC ABSOLUTE SHIFT (LOW) MC



COMPARISON FNEX/CAFANA



COMPARISON NEW/OLD WEIGHTS

Need to figure out why there exist discrepancies...

NEW WEIGHT



Find bin with $E = \text{TrueEnergy}$



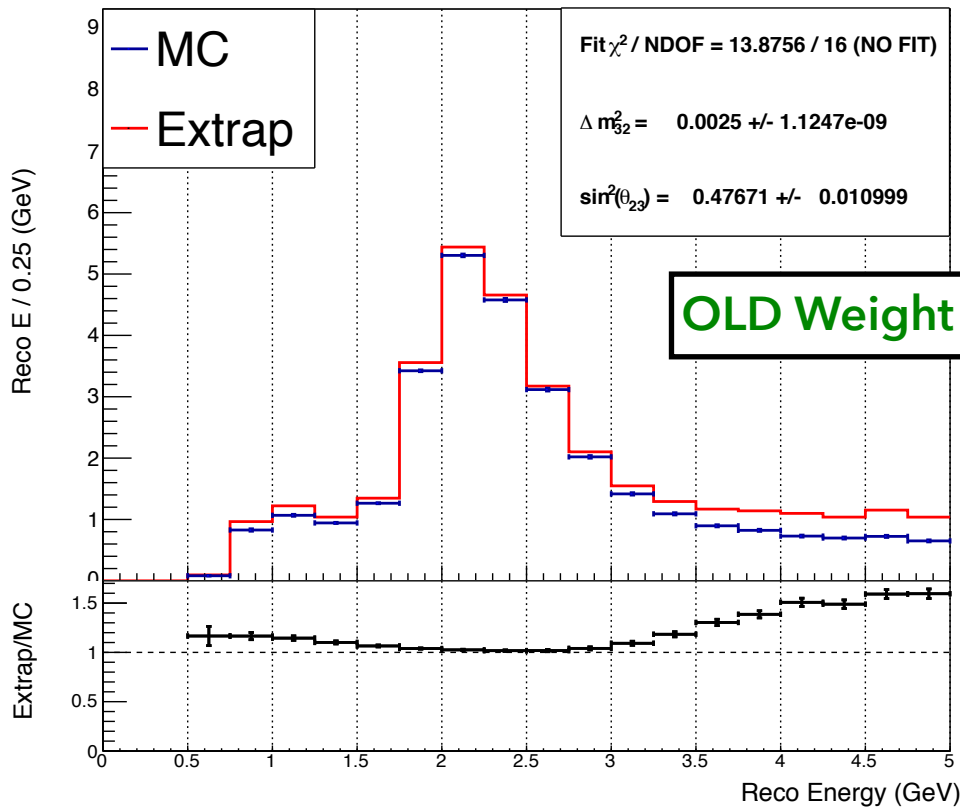
Evaluation of the bin center



Determine the new oscillation rate for each pair $\nu_x \rightarrow \nu_y$

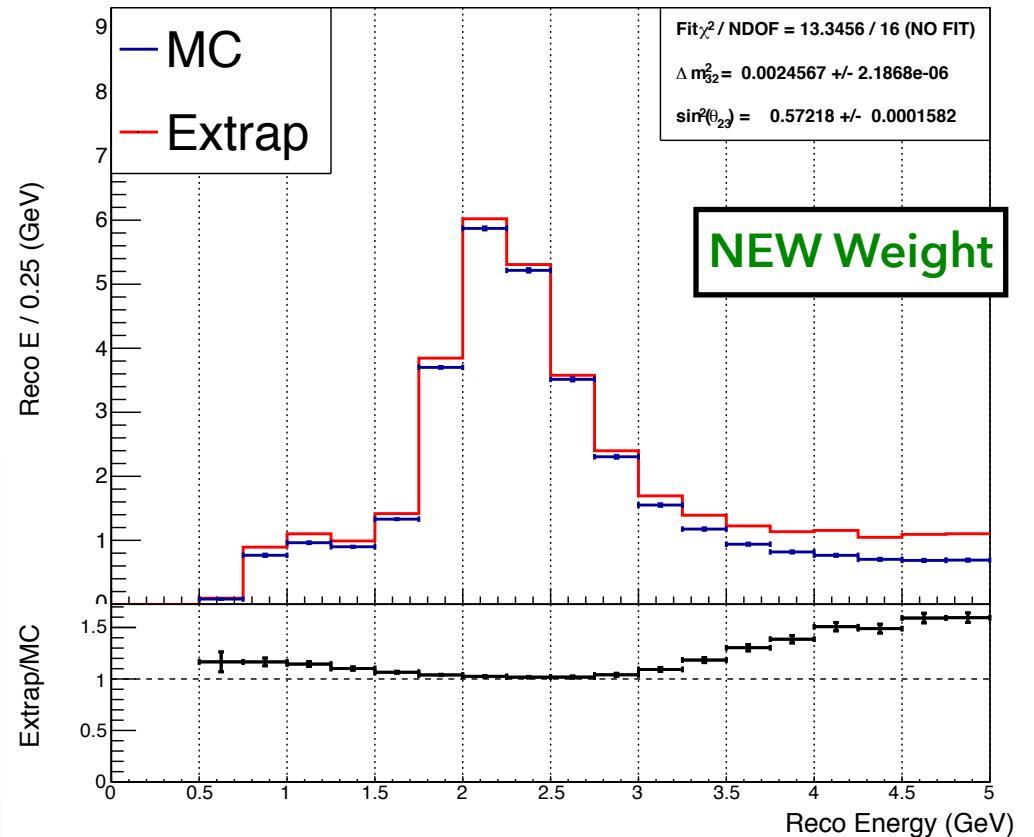
COMPARISON NEW/OLD WEIGHTS

RecoE Extrap vs MC [FD]



Allowing to vary only $\sin^2 \theta_{23}$, Δm_{32}^2

RecoE Extrap vs MC [FD]



Any difference must be due to :

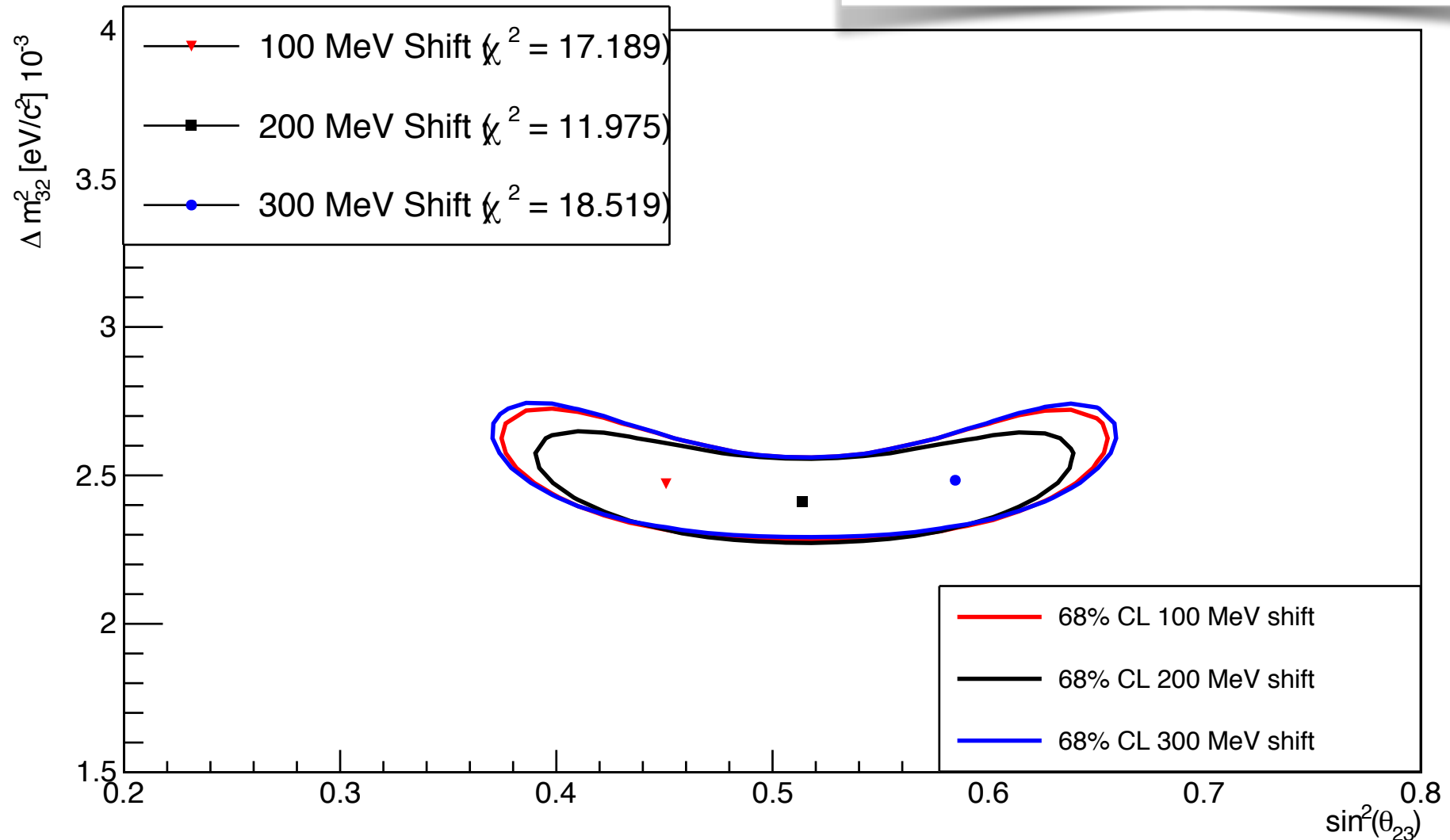
Different approach to the minimization procedure

Different extrapolation technique

TOWARDS THE UNBINNED BEST FIT : **WALKING BINS**

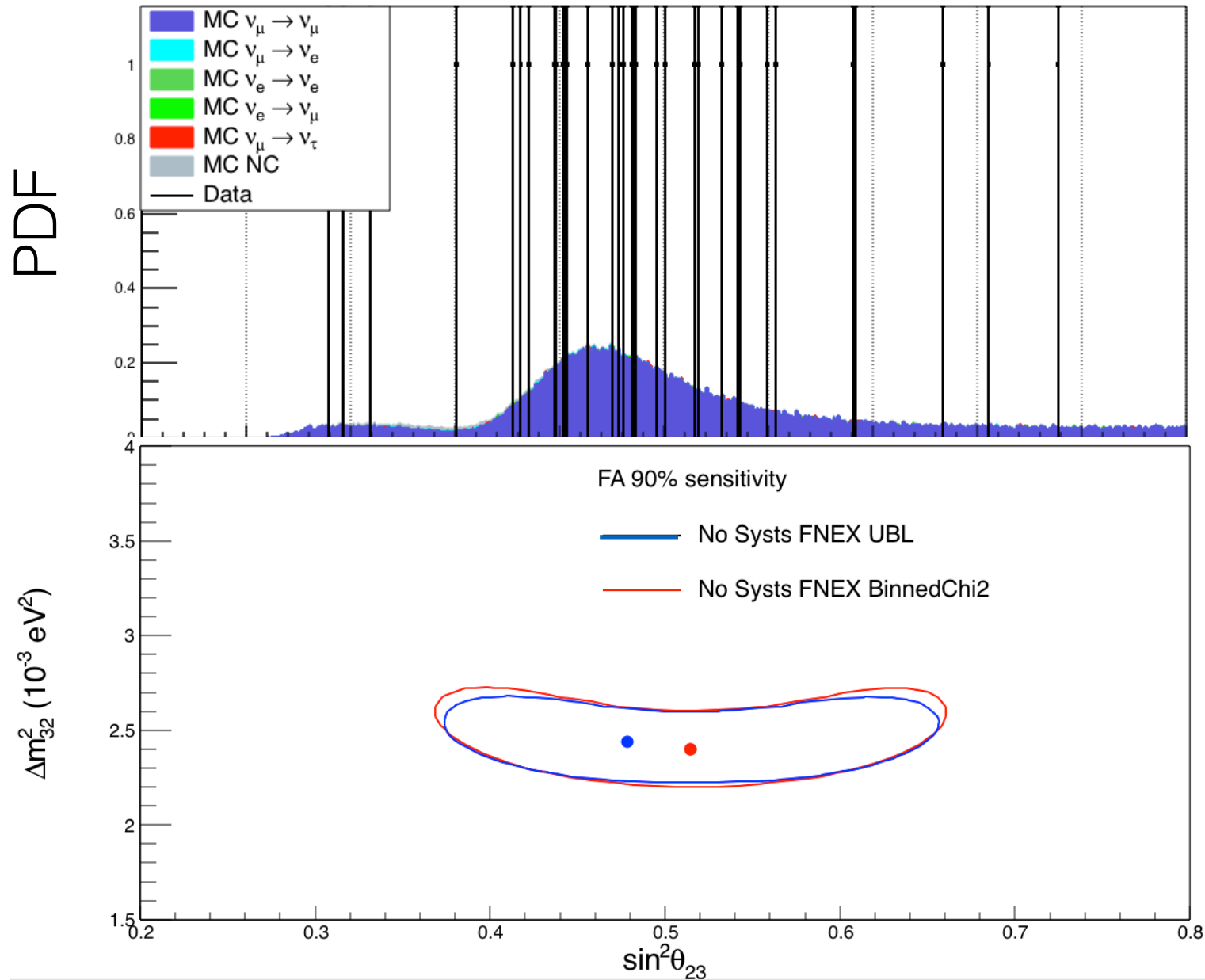
Allowing to vary only $\sin^2 \theta_{23}$, Δm_{32}^2

Shifting the Target Bin Range



UNBINNED LIKELIHOOD Numu FA Results

$$UBL = \sum_i -\log P_i(x_i, \vec{\theta})$$



* OscPlots::SetOscillationsParametersBF()

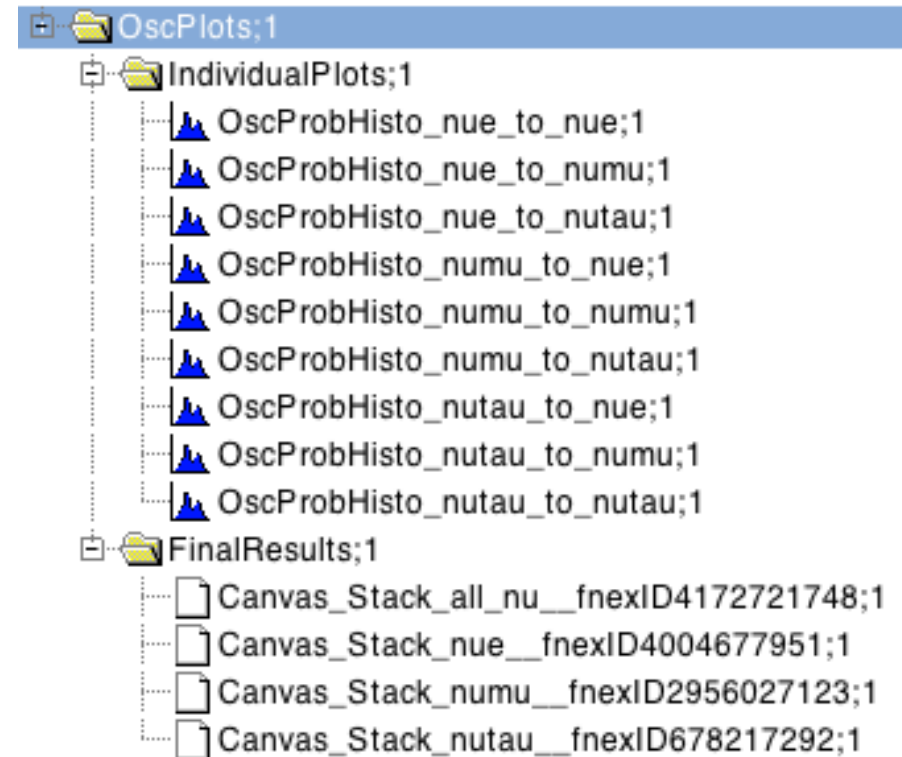


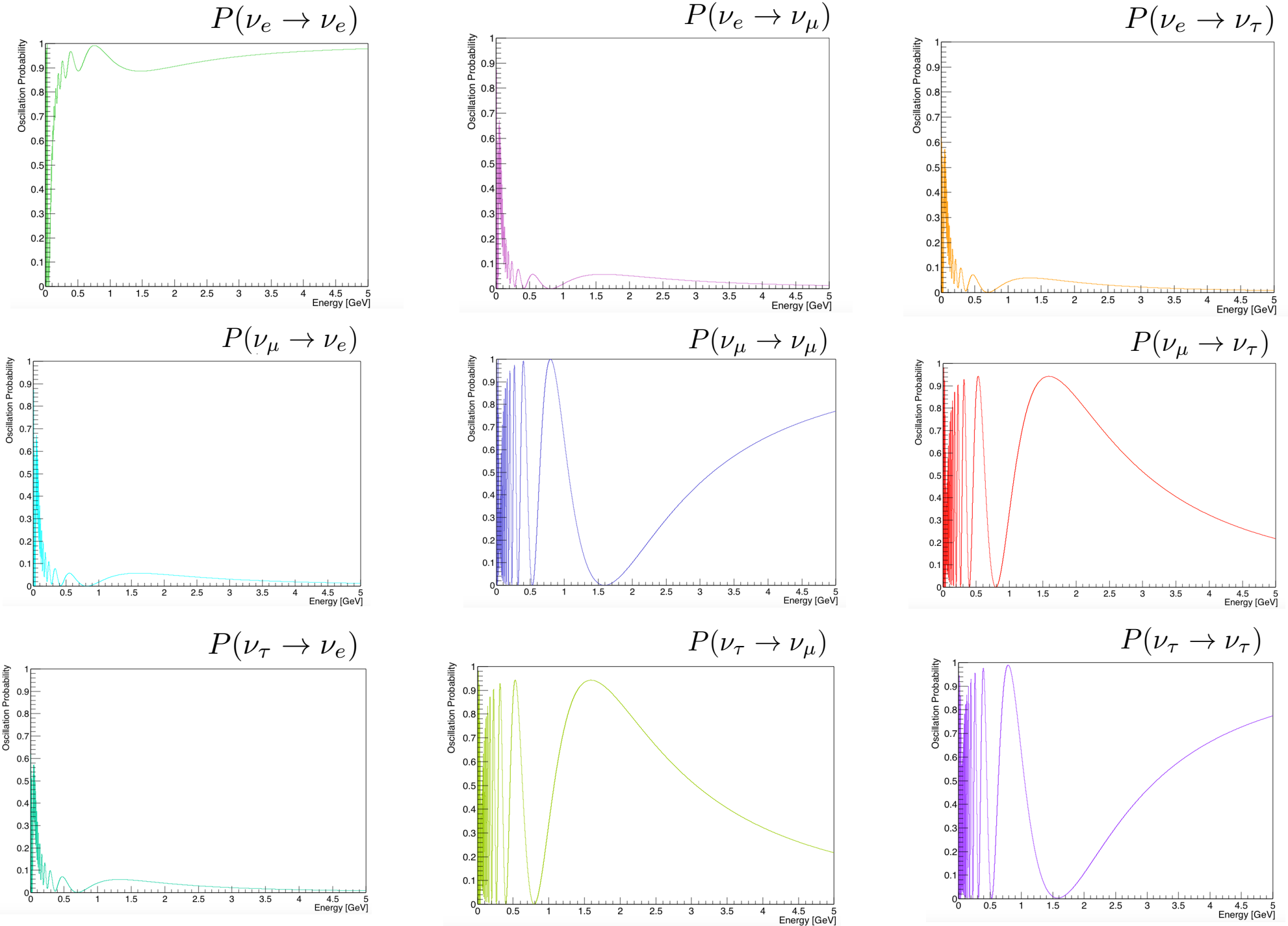
FNEXFit , OscCalculator

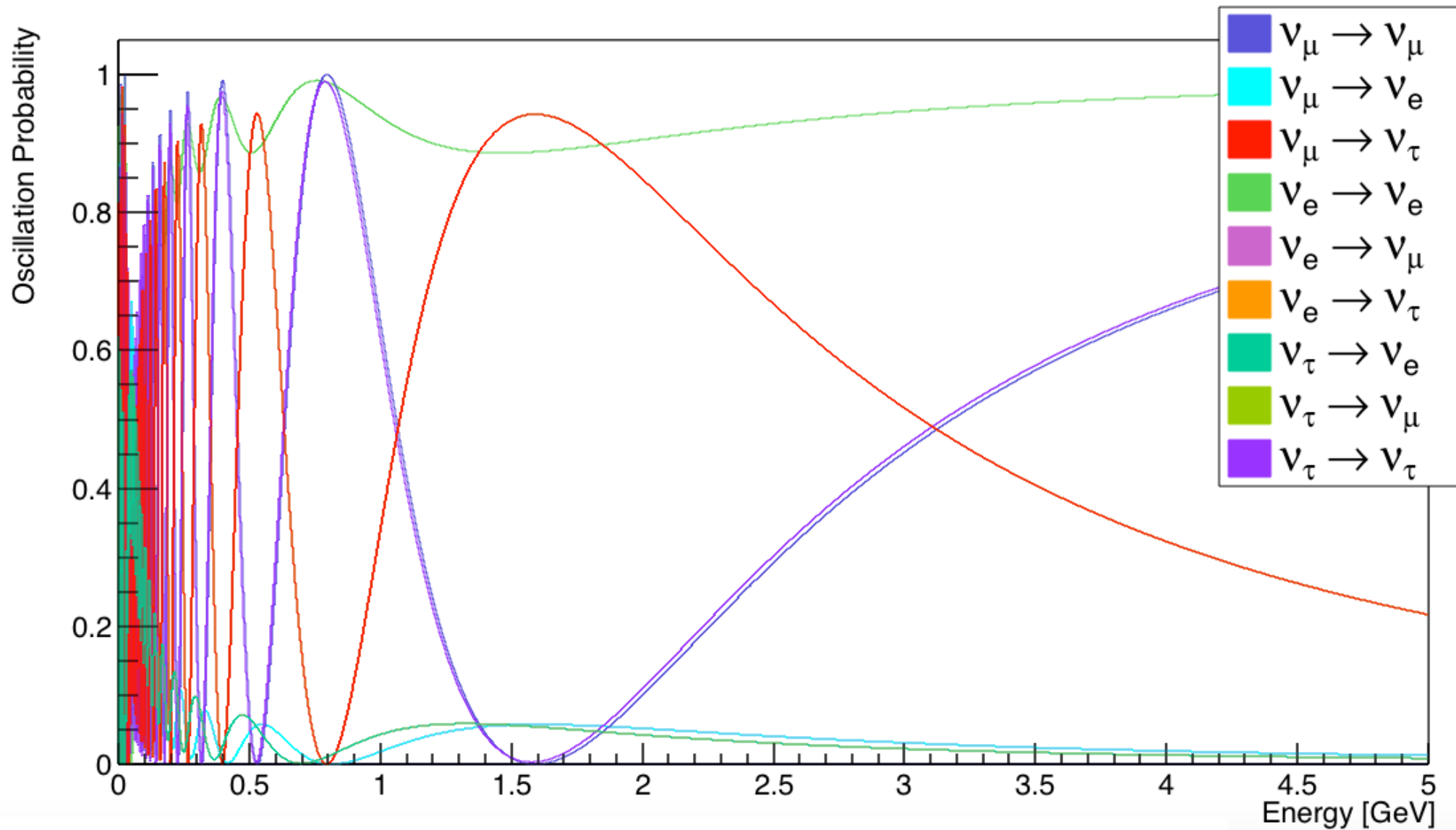
Output

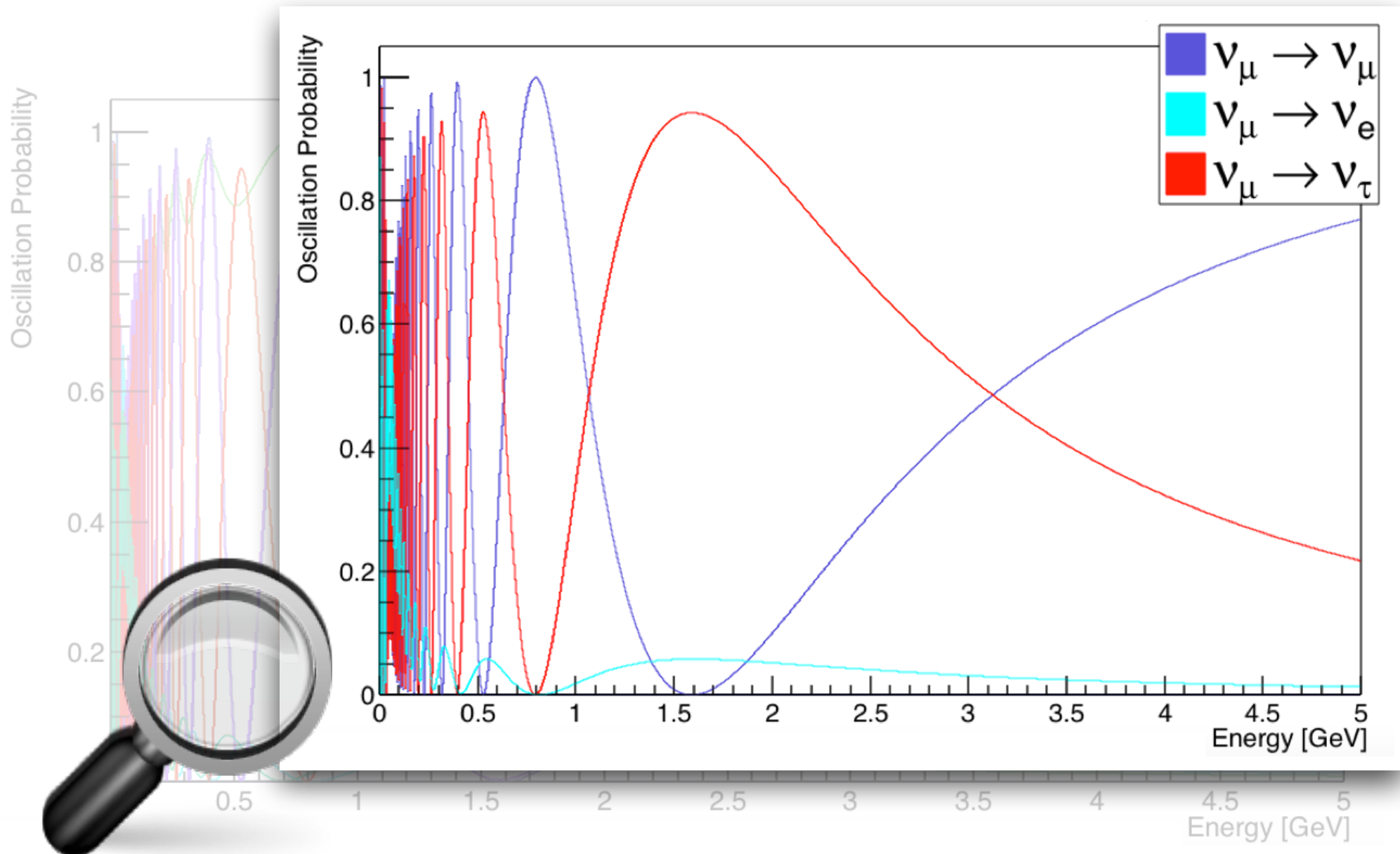
* OscPlots::MakeHisto()

* OscPlots::MakeStacks()









CONCLUSIONS

- ❖ Biggest effect on the CL contours and BF point due to the *HadAbsShift* (Hi&Lo) and *HadRelShift* (Lo)
- ❖ *New weights* and *walking bins* have a tiny effect on the final distributions and CL contours

→ *As expected. Confident in our answer!*

WHAT'S UP NEXT

- ◆ FNEX upgrade for a complete ν_e first analysis

Thank you for your attention!

*Many thanks to my
supervisor Keith
Matera*

...And thank you Fermilab

BACKUP SLIDES

NEUTRINO OSCILLATIONS 1957 B. Pontecorvo

$|\nu_\alpha\rangle$: flavor eigenstates of the Weak Hamiltonian

.....
 $|\nu_k\rangle$: mass eigenstates of the free Hamiltonian

Mixing

$$|\nu_\alpha\rangle = \sum_k U_{\alpha k} |\nu_k\rangle$$

$k = 1, 2, 3$
 $\alpha = e, \mu, \tau$

$U_{\alpha k}$ PMNS matrix 3x3

• Probability of oscillation

$$U = \begin{pmatrix} c_{13}c_{12} & c_{13}s_{12} & s_{13}e^{-i\delta} \\ -c_{23}s_{12} - s_{12}s_{23}c_{12}e^{i\delta} & c_{23}c_{12} - s_{13}s_{23}s_{12}e^{i\delta} & c_{13}s_{23} \\ s_{23}s_{12} - s_{13}c_{23}c_{12}e^{i\delta} & -s_{23}c_{12} - s_{13}c_{23}s_{12}e^{i\delta} & c_{13}c_{23} \end{pmatrix}$$

The observation of neutrino oscillations leads to the conclusion that neutrinos are massive and not degenerate

$$P(|\nu_\mu\rangle \rightarrow |\nu_e\rangle, L) \equiv |\langle \nu_e | \nu_\mu \rangle|^2 =$$

$$\sin^2 \theta_{23} \sin^2 2\theta_{13} \sin^2 \left(1.27 \frac{\Delta m_{32}^2 (eV^2) L (km)}{E (GeV)} \right)$$

From the Presentation of NOvA First Oscillation Results

Fermilab, Aug. 6th 2015

Summary

With 2.74×10^{20} POT-equiv. exposure...

$\Delta m_{32}^2 = \begin{cases} +2.37_{-0.15}^{+0.16} & \text{[NH]} \\ -2.40_{-0.17}^{+0.14} & \text{[IH]} \end{cases} \times 10^{-3} \text{ eV}^2$

$\sin^2(\theta_{23}) = 0.51 \pm 0.10$

$\nu_{\mu} \rightarrow \nu_{\mu}$

- Unambiguous ν_{μ} disappearance signature
- 6.5% measurement of atm. mass splitting, and θ_{23} measurement consistent with maximal mixing

$\nu_{\mu} \rightarrow \nu_e$

- ν_e appearance signal at 3.3σ for primary ν_e selector, 5.5σ for secondary selector.
- At max. mixing, disfavor IH for $\delta \in [0, 0.6\pi]$ at 90% C.L. w/ primary selector. With secondary selector, further preference for NH.

Above results obtained with 7.6% of baseline NOvA exposure.
Much more to come!

CONFIDENCE INTERVAL

Assume that the Likelihood could be approximated as a 2-dim. Gaussian and that

$$x = \frac{(\sin^2 2\theta - \sin^2 2\theta_{best})}{\sigma_{\sin^2 2\theta}}, \quad y = \frac{(\Delta m^2 - \Delta m_{best}^2)}{\sigma_{\Delta m^2}}$$

Then, Likelihood becomes: $\mathcal{L} = Ae^{-\frac{(x^2+y^2)}{2}}$

and for a given set of parameters

$$\chi^2 = -2 \ln \mathcal{L} = (x^2 + y^2) + \chi_{min}^2$$

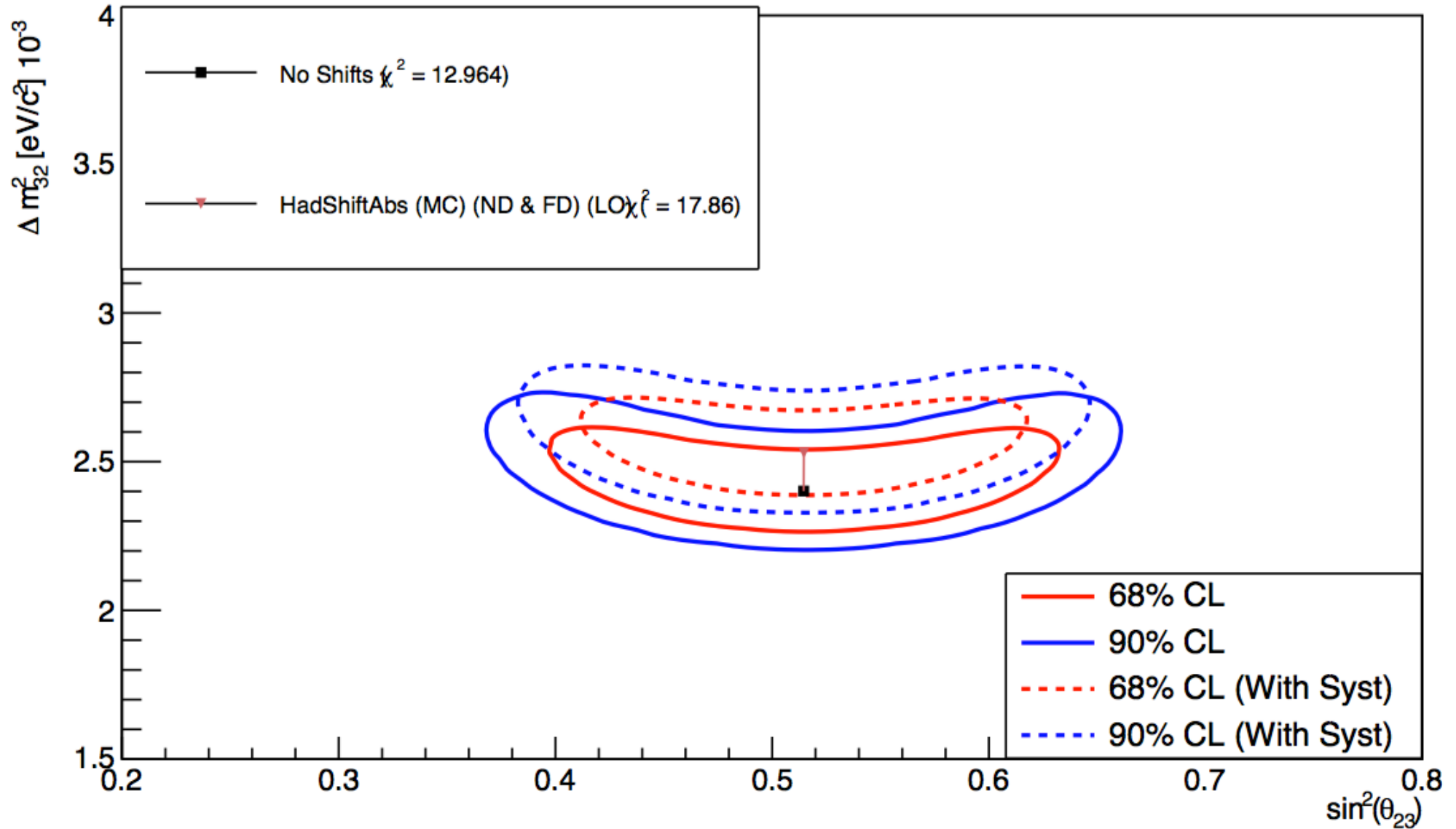
If one expresses $\chi_b^2 = \chi_{min}^2 + b$ then, in the entire space:

$$\Delta\chi^2 = \chi_b^2 - \chi_{min}^2$$

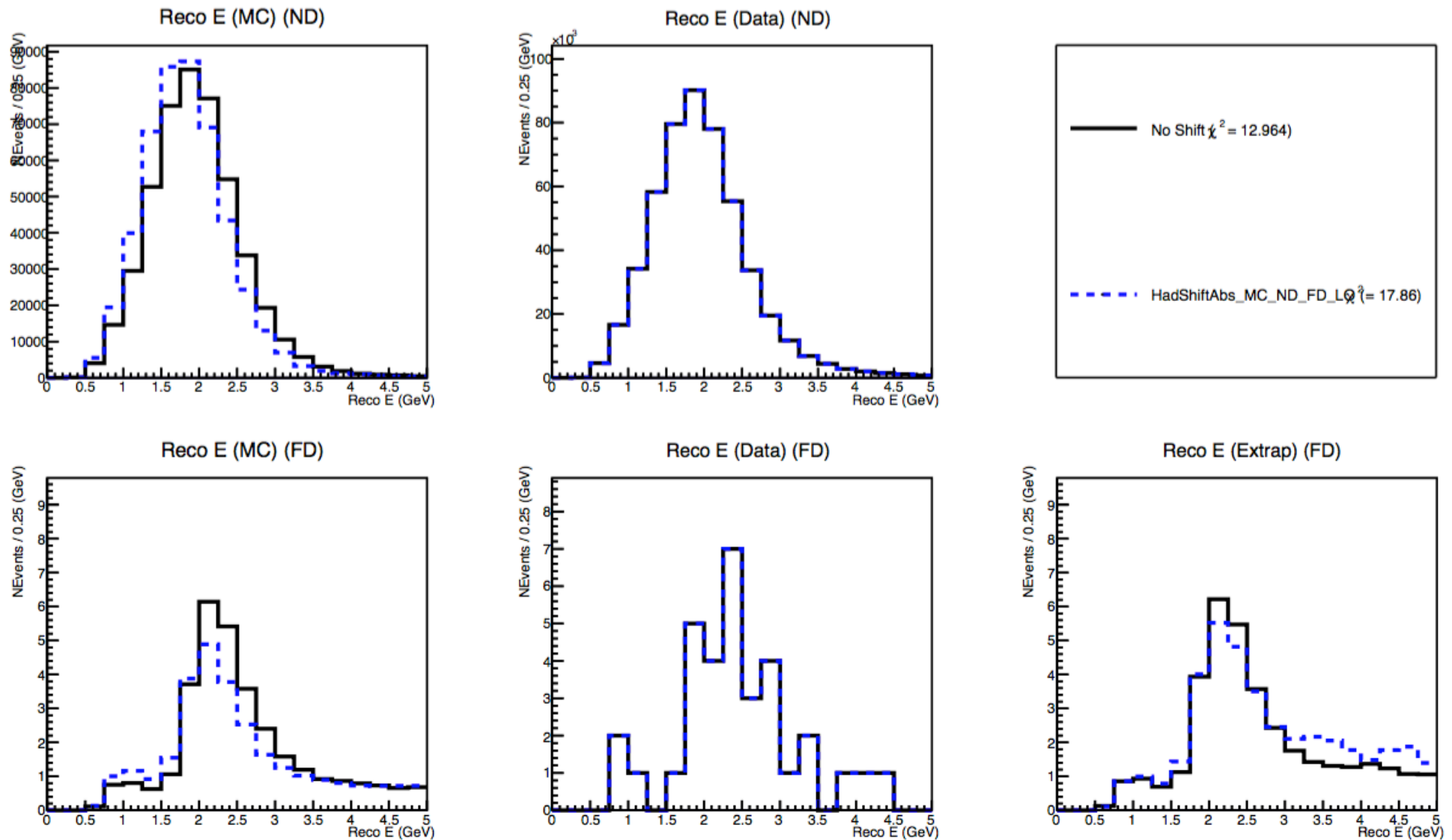
the **Confidence Interval** is defined as

$$\rightarrow \lambda = 1 - \int_{-\infty}^{+\infty} \int_{-\infty}^{\sqrt{\Delta\chi^2}} \frac{e^{-\frac{(x^2+y^2)}{2}} \Theta(\chi^2(x, y) - \chi^2(x', y'))}{\Gamma} dx dy$$

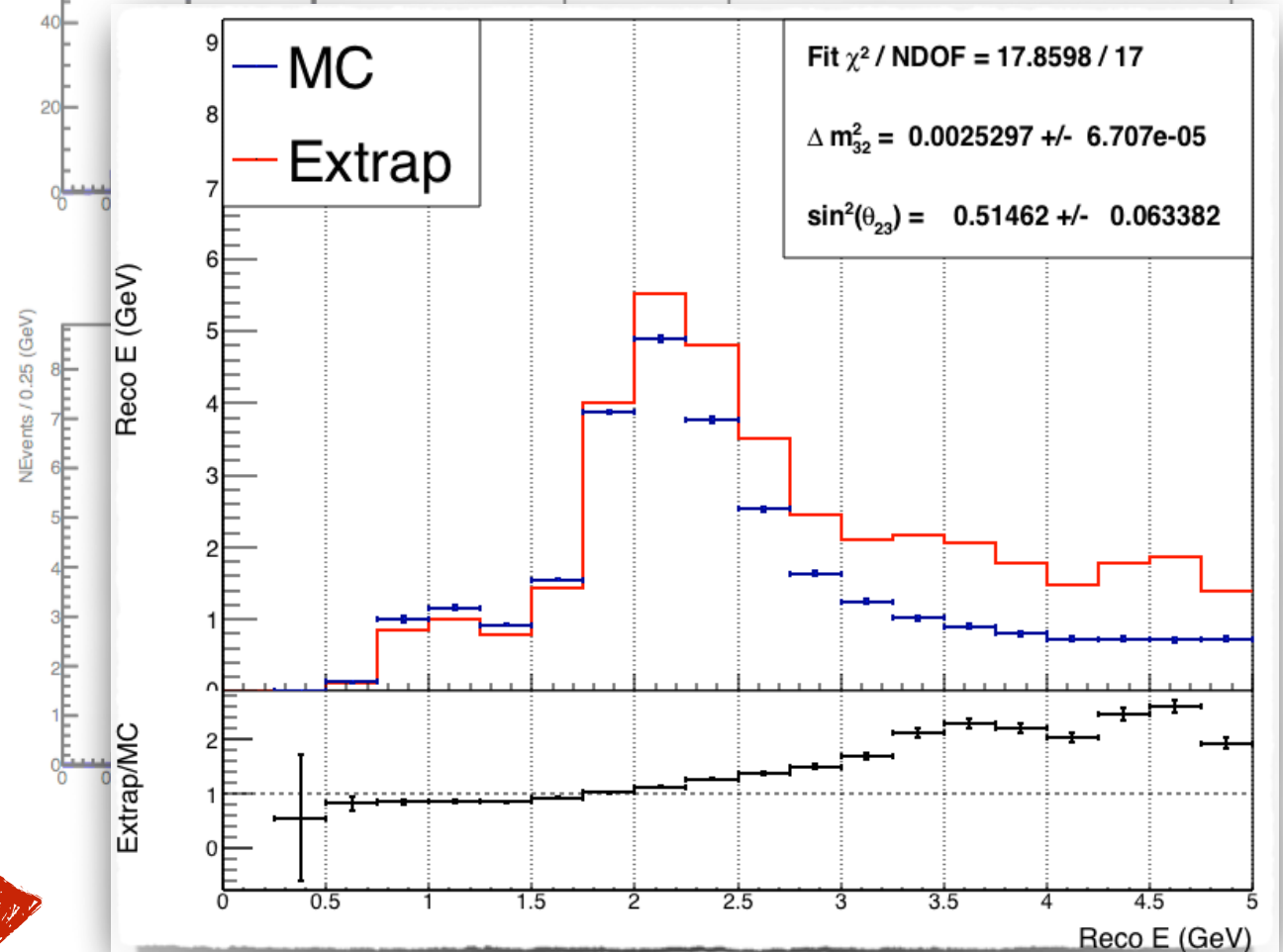
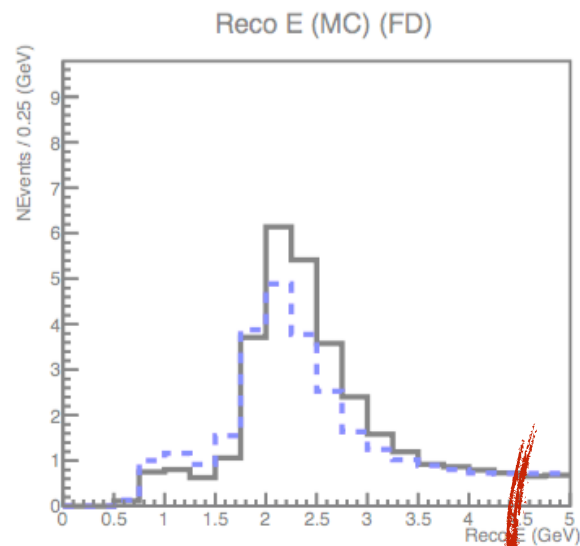
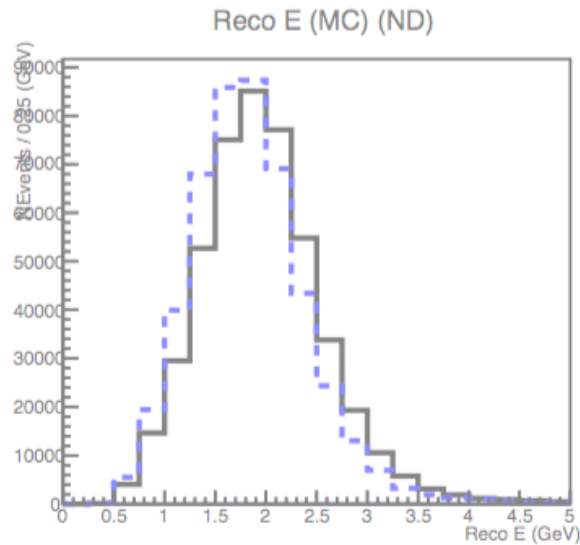
HADRONIC ABSOLUTE SHIFT (LOW) MC



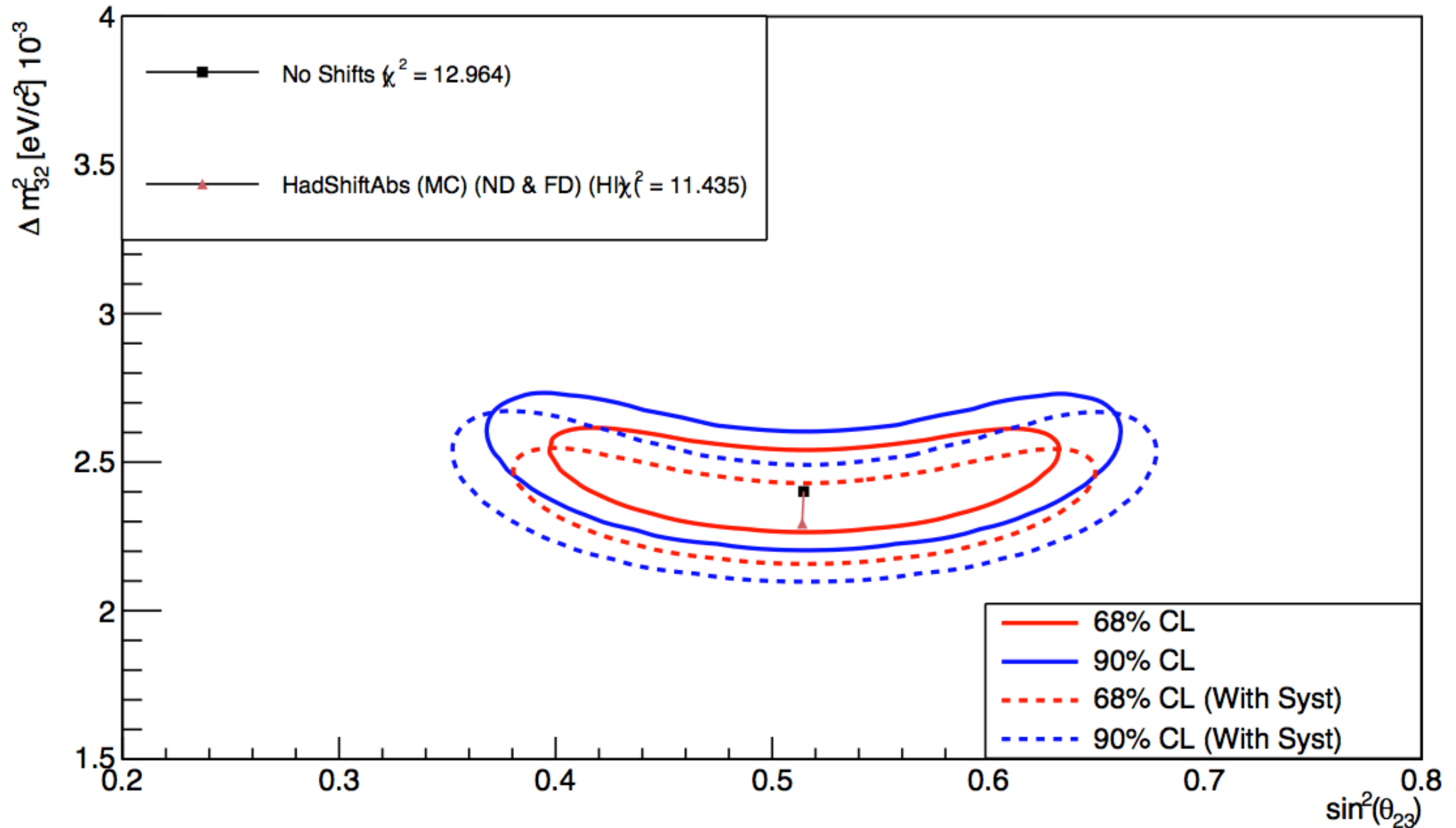
HADRONIC ABSOLUTE SHIFT (LOW) MC



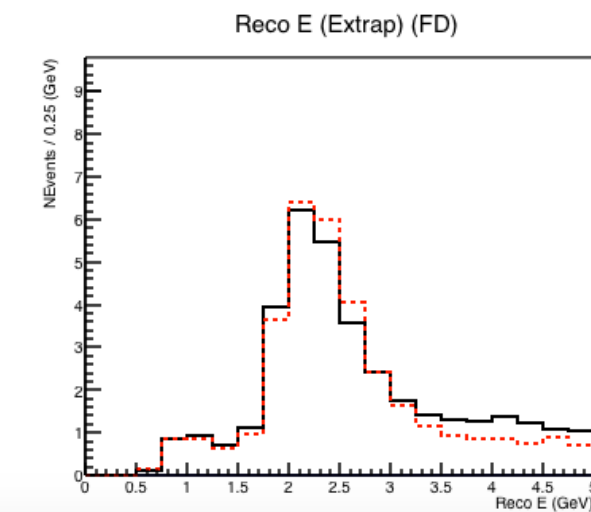
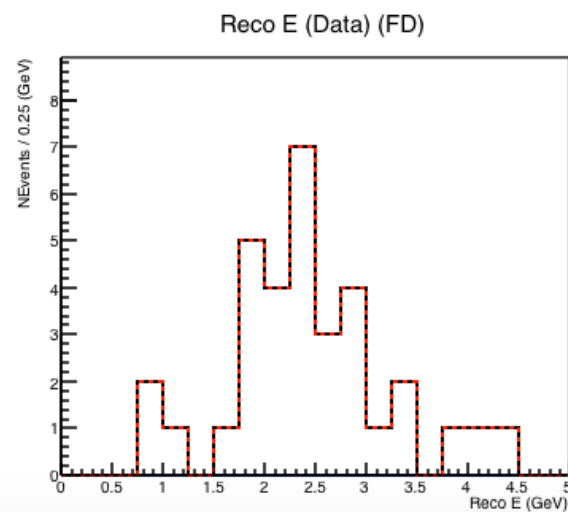
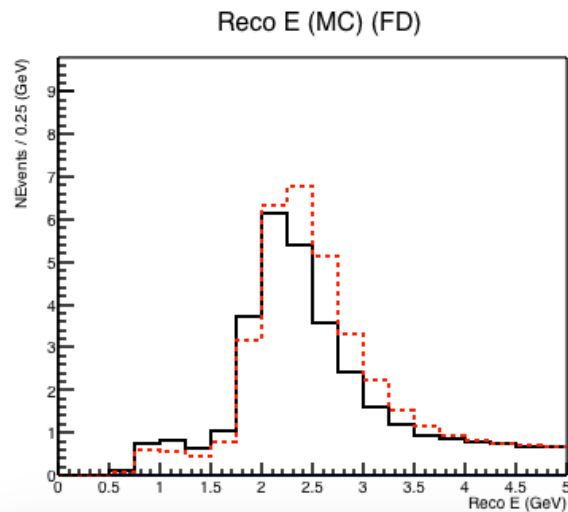
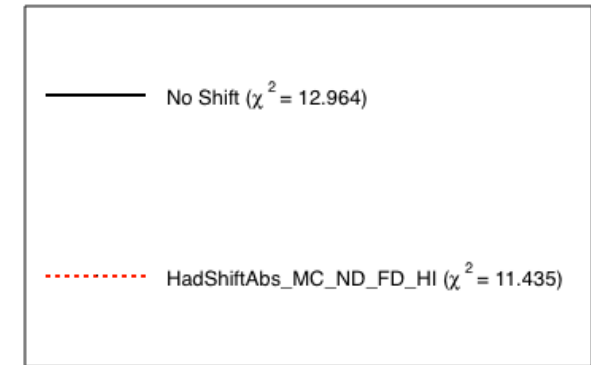
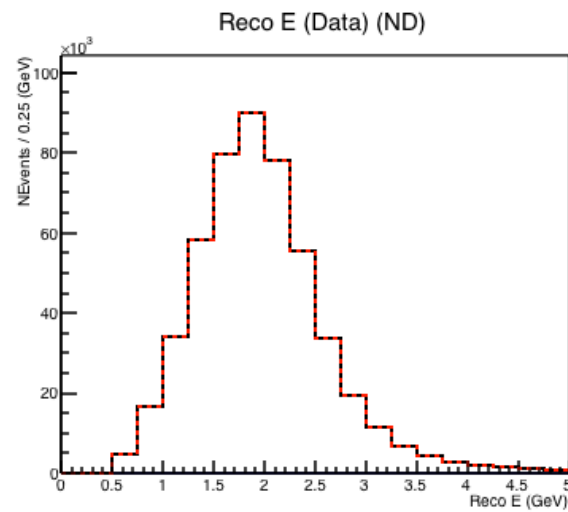
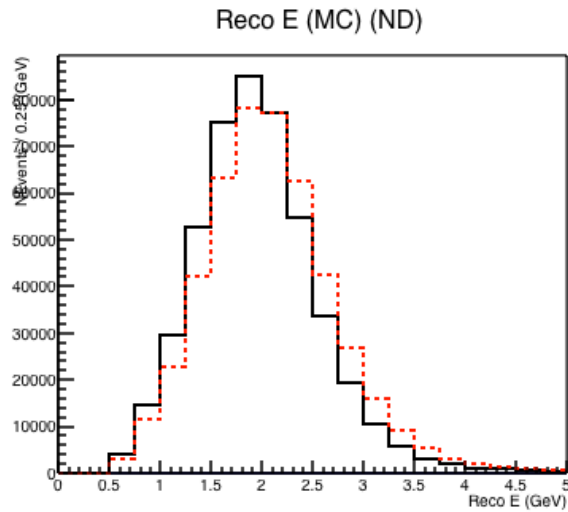
HADRONIC ABSOLUTE SHIFT (LOW) MC



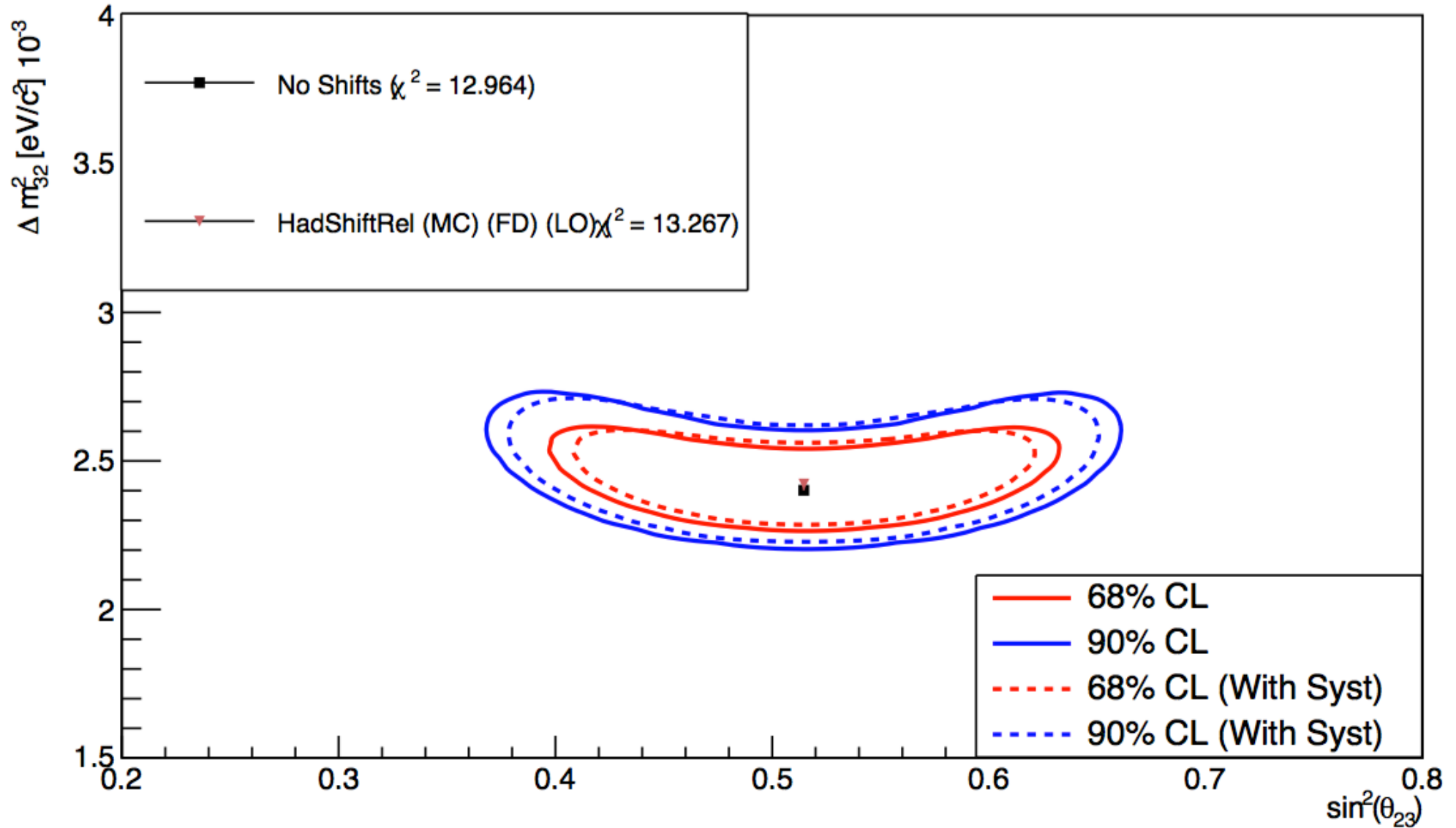
HADRONIC ABSOLUTE SHIFT (HIGH) MC



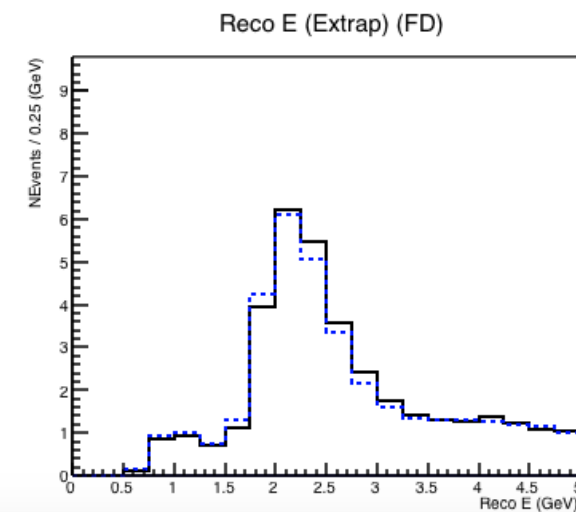
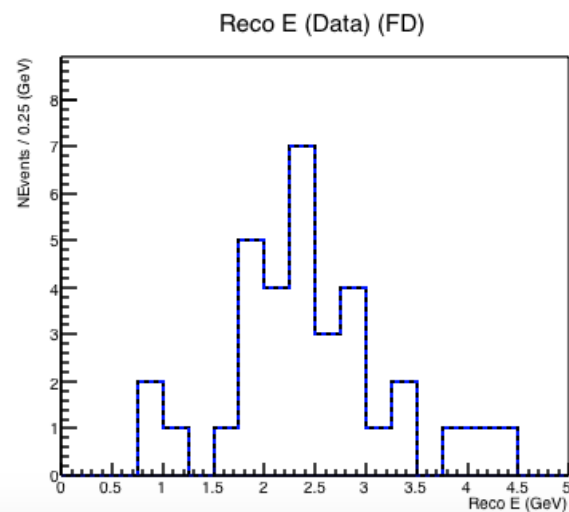
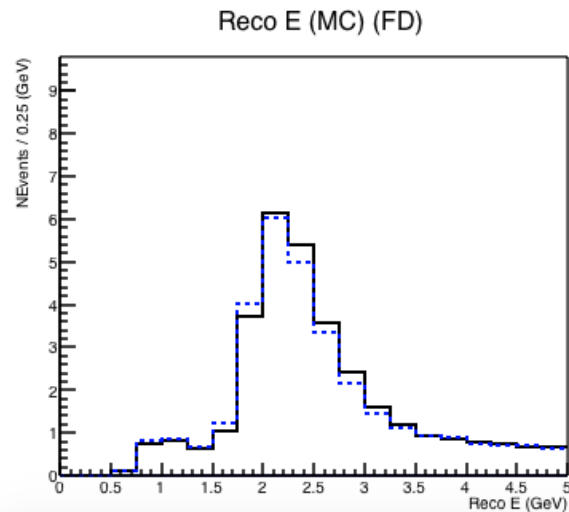
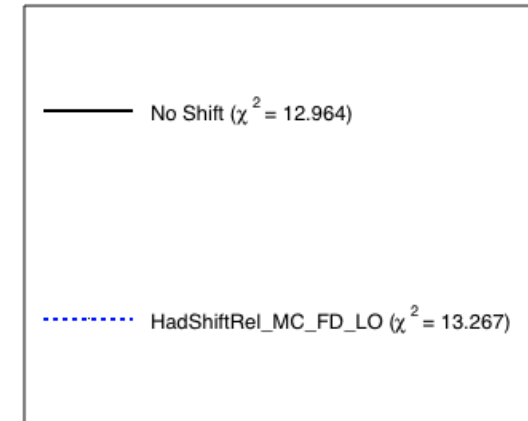
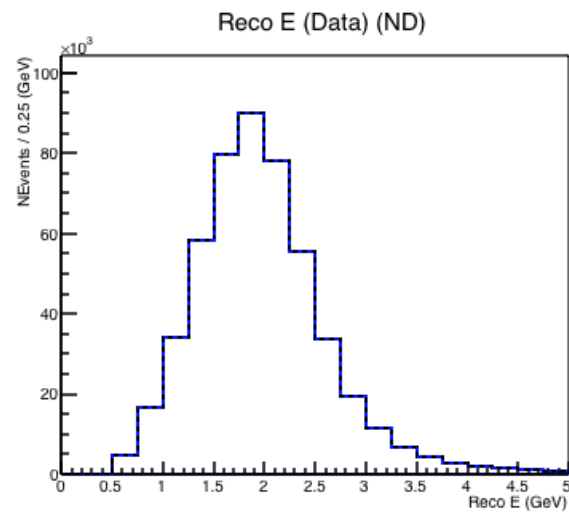
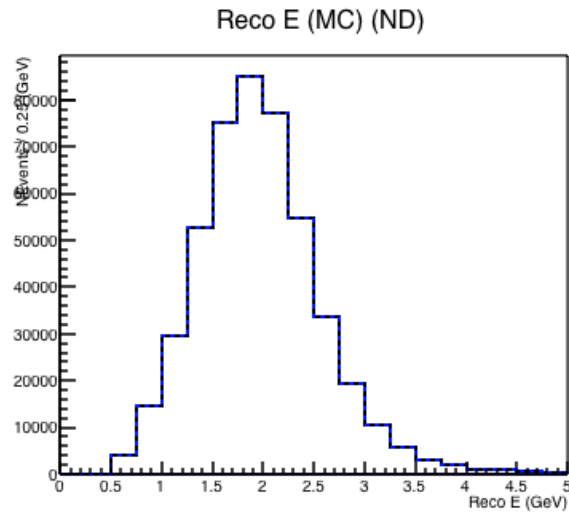
HADRONIC ABSOLUTE SHIFT (HIGH) MC



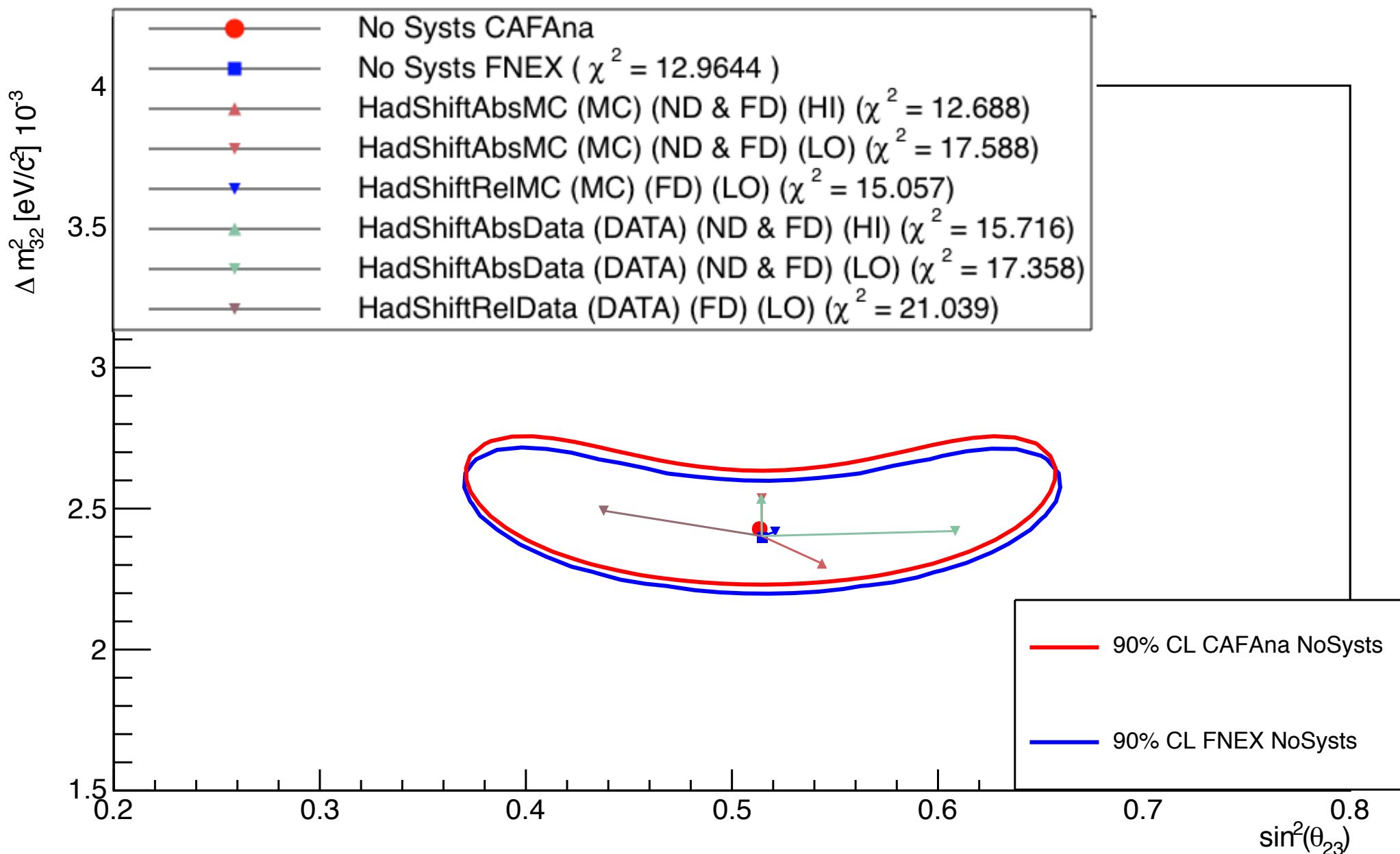
HADRONIC RELATIVE SHIFT (LOW) MC



HADRONIC RELATIVE SHIFT (LOW) MC



COMPARISON NEW/OLD WEIGHTS FNEX/CAFANA



RECOE VS DATA FNEX/CAFANA

