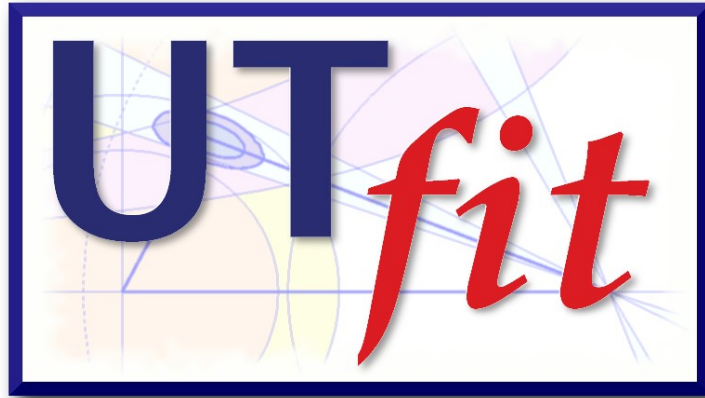


Flavours of New Physics

Marco Ciuchini



- * **Flavour physics beyond the Standard Model**
 - motivations, EFT, flavour symmetry
 - NP scale from $\Delta F=2$ transitions
- * **Evidence for new physics (?)**
 - CP asymmetries $A_{CP}(K\pi)$
 - D_s leptonic decays
 - B_s mixing phase $\varphi_s \neq -\beta_s$ and its implications
- * **Outlook: TeVatron, LHCb and SuperB**



collaboration

Bologna - CERN - Genova - Orsay - Rome

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www.utfit.org



+ T. Gershon
& all the CDR
contributors



+ A. Masiero
+ P. Paradisi

**Thanks to
everybody**

Why flavour physics?

Indirect searches look for NP through the virtual effects of new particles in loop corrections

* SM flavour-changing neutral currents (FCNCs) and CP-violating processes occur at the loop level thus they potentially receive $O(1)$ NP corrections

* SM quark FV and CPV are governed by the weak interactions and suppressed by the mixing angles

* SM has a single source of CPV (neglecting θ_{QCD})

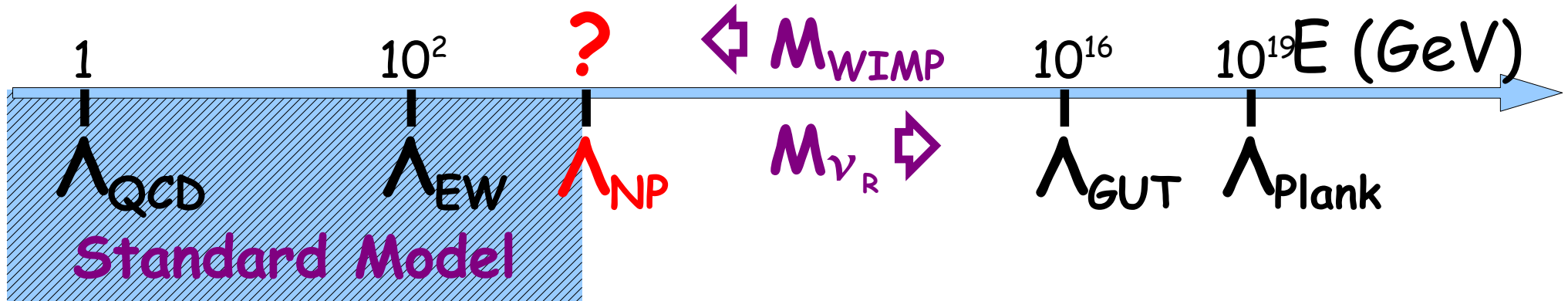
NP not necessarily shares the SM pattern of

FV and CPV: very large contributions are possible

Flavour physics confronts NP searches

The problem of today particle physics:

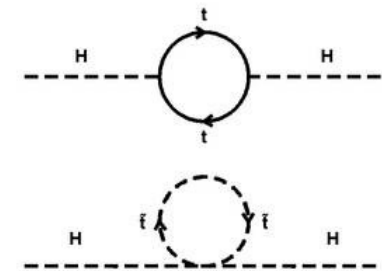
where is the NP scale Λ_{NP} ? 0.5, 1, 10, 10^{13} , 10^{16} TeV?



The quantum stabilization of the weak scale suggests ≤ 1 TeV (naturalness argument)

$$m_H^2 \rightarrow m_H^2 + \delta m_H^2$$

$$\delta m_H^2 = \frac{3 G_F}{\sqrt{2} \pi^2} m_t^2 \Lambda_{NP}^2 \sim (0.3 \Lambda_{NP})^2$$

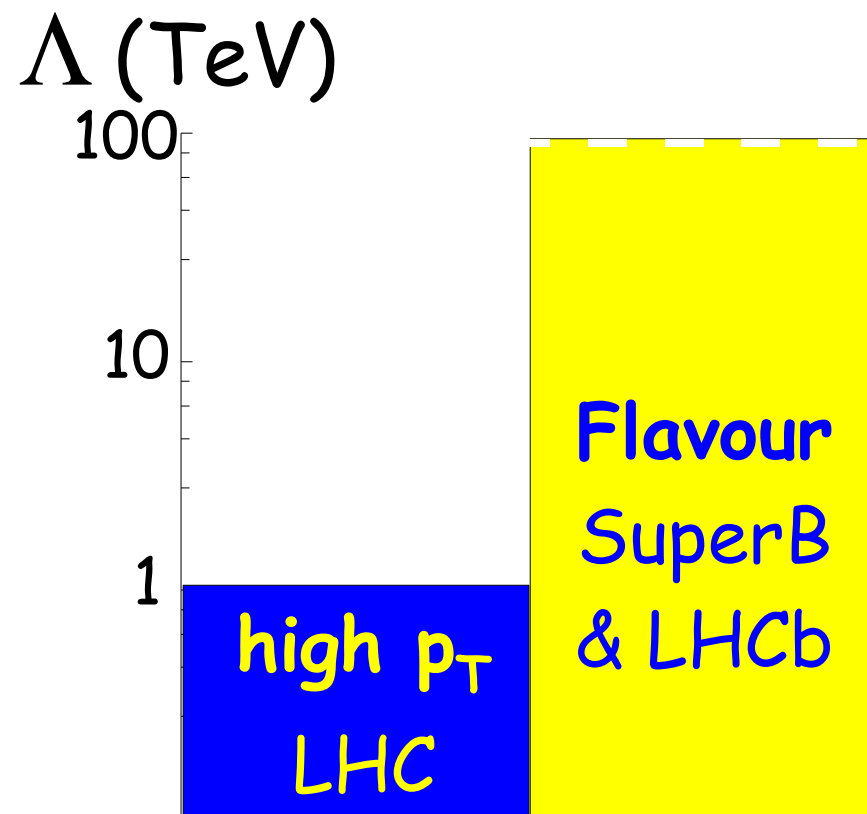


* LHC searches in this range...

What if the scale is just above 1 TeV,
say in the 1-100 TeV range?

naturalness is not at loss yet
(redefining tolerance to fine tuning)

The bright side of
the "flavour problem":
flavour physics can
probe NP scales
beyond the LHC reach



MSSM@LHC: reconstructing the Lagrangian

Parameters	MSSM		SM	
gauge+Higgs	14		6	
masses	30	(36)	9	(12)
mixing angles	39	(54)	3	(6)
phases	41	(56)	1	(2)
Total	124	(160)	19	(26)

SM parameters match: FC vs FV&CPV 17-9

MSSM parameters match: FC vs FV&CPV 50-110

- * fast increase of the # of FV&CPV parameters
- * FV&CPV are related to basic properties of the NP Lagrangian (e.g. SUSY breaking in the MSSM)

EFT approach to New Flavour Physics

a game of scale and couplings

$$\mathcal{L}_{\text{eff}} = \mathcal{L}_{\text{SM}} + \sum_{k=1} \left(\sum_i C_i^k Q_i^{(k+4)} \right) / \Lambda^k$$

NP flavour effects are governed by two players:

- i) the value of the new physics scale Λ
- ii) the effective flavour-violating couplings C 's

In explicit models:

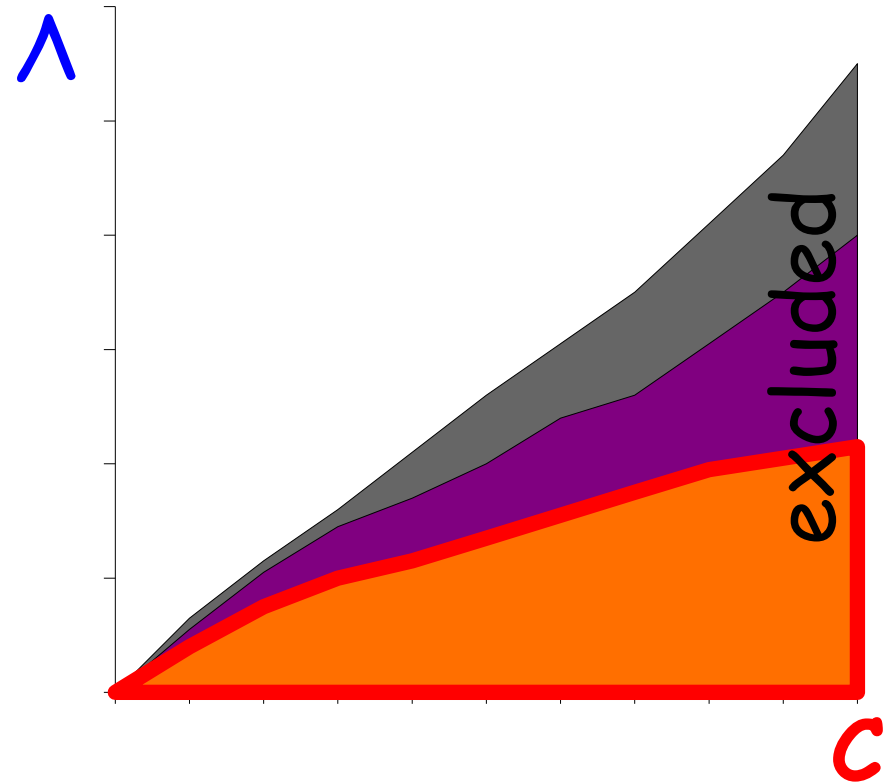
$\Lambda \sim$ mass of virtual particles (Fermi th.: M_W)

$C \sim$ loop coupling \times flavour coupling

(SM/MFV: $\alpha_w \times \text{CKM}$)

Pictorially :

- exp. constraints give a bound on Λ for any given C and vice-versa
- curves correspond to different model classes



Let's see what we know today about the NP scale making different assumptions for the FV couplings

**New physics in
 $\Delta F=2$ processes**

New Physics in the mixing amplitudes

1. find out how much room is left for NP in $\Delta F=2$ transitions
 - add most general NP to all sectors
 - use all available experimental info
 - fit simultaneously for the CKM and the NP parameters (generalized UT fit)
2. perform an EFT analysis to put bounds on the NP scale
 - consider different choices of the FV and CPV couplings

UTfit collaboration
hep-ph/0509219, arXiv:0707.0636

1. parameterization of NP contributions to the mixing amplitudes

K mixing amplitude (2 real parameter):

$$\text{Re} A_K = C_{\Delta m_K} \text{Re} A_K^{SM} \quad \text{Im} A_K = C_\varepsilon \text{Im} A_K^{SM}$$

B_d and B_s mixing amplitudes (2+2 real parameters):

$$A_q e^{2i\phi_q} = C_{B_q} e^{2i\phi_{B_q}} A_q^{SM} e^{2i\phi_q^{SM}} = \left(1 + \frac{A_q^{NP}}{A_q^{SM}} e^{2i(\phi_q^{NP} - \phi_q^{SM})} \right) A_q^{SM} e^{2i\phi_q^{SM}}$$

Observables:

$$\Delta m_{q/K} = C_{B_q/\Delta m_K} (\Delta m_{q/K})^{SM} \quad \varepsilon_K = C_\varepsilon \varepsilon_K^{SM}$$

$$A_{CP}^{B_d \rightarrow J/\psi K_s} = \sin 2(\beta + \phi_{B_d}) \quad A_{CP}^{B_s \rightarrow \phi K_s} = \sin 2(-\beta_s + \phi_{B_s})$$

$$A_{SL}^q = \text{Im} \left(\Gamma_{12}^q / A_q \right) \quad \Delta \Gamma^q / \Delta m_q = \text{Re} \left(\Gamma_{12}^q / A_q \right)$$

UT parameters in the presence of NP

Model-independent fit
of the CKM parameters
(neglecting NP in tree decays)

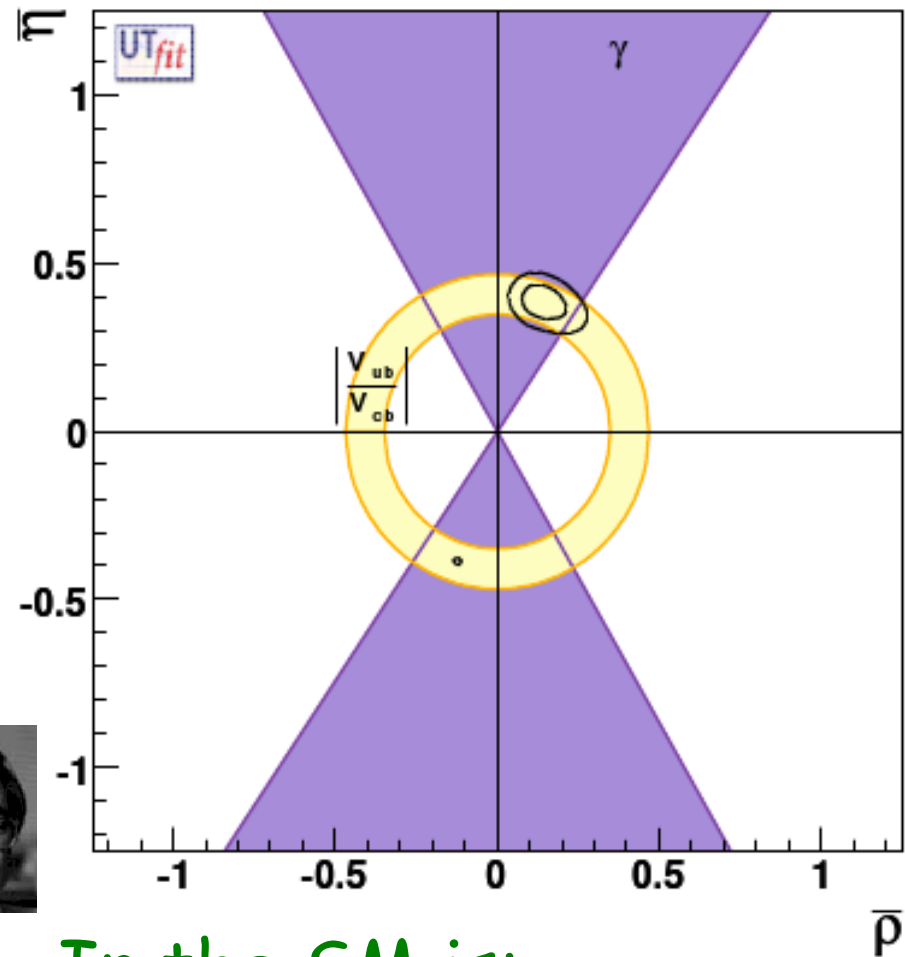
$$V_{CKM} = \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix}$$

$$\lambda = 0.2258 \pm 0.0014$$

$$A = 0.804 \pm 0.001$$

$$\bar{\rho} = 0.140 \pm 0.046$$

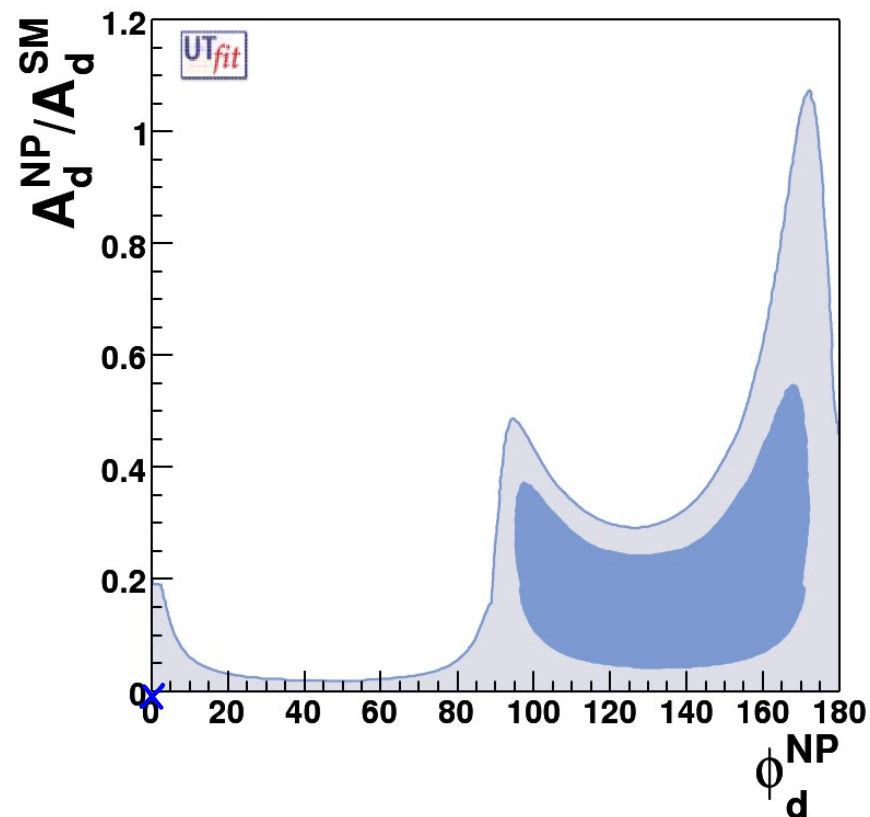
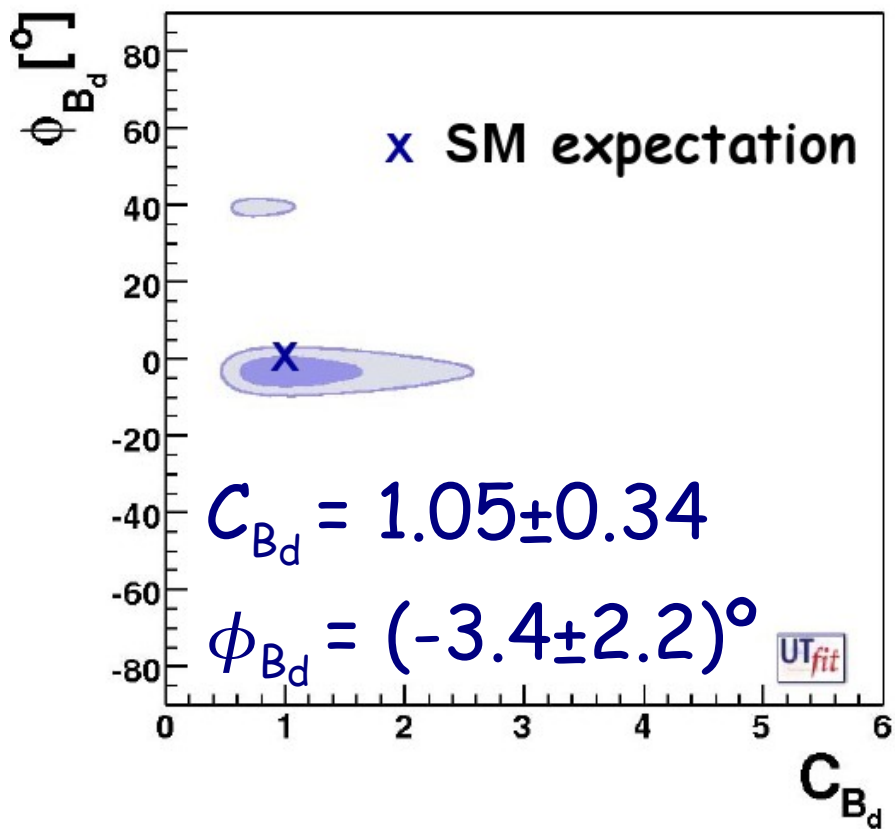
$$\bar{\eta} = 0.384 \pm 0.035$$



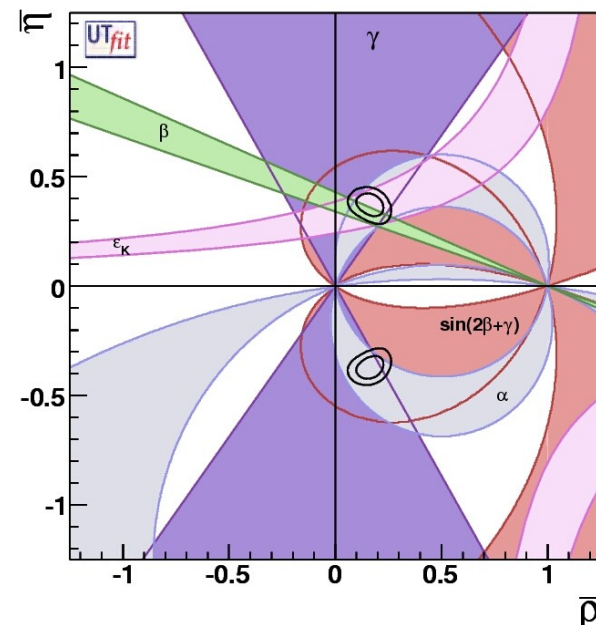
In the SM is:

$$\bar{\rho} = 0.147 \pm 0.029$$

$$\bar{\eta} = 0.342 \pm 0.012$$



- * the $\sin 2\beta$ tension produces the 1.5σ effect of ϕ_{B_d} and the asymmetry in $(A_d^{NP}/A_d^{SM}, \phi_d^{NP})$
- * up to $\sim 20\%$ NP amplitude is allowed for generic NP phase



2. the $\Delta F=2$ effective Hamiltonian

The mixing amplitudes $A_q e^{2i\phi_q} = \left\langle \bar{M}_q \left| H_{eff}^{\Delta F=2} \right| M_q \right\rangle$

$$H_{eff}^{\Delta B=2} = \sum_{i=1}^5 C_i(\mu) Q_i(\mu) + \sum_{i=1}^3 \tilde{C}_i(\mu) \tilde{Q}_i(\mu)$$

$$Q_1 = \bar{q}_L^\alpha \gamma_\mu b_L^\alpha \bar{q}_L^\beta \gamma^\mu b_L^\beta \quad (\text{SM/MFV})$$

$$Q_2 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_R^\beta b_L^\beta$$

$$Q_3 = \bar{q}_R^\alpha b_L^\beta \bar{q}_R^\beta b_L^\beta$$

$$Q_4 = \bar{q}_R^\alpha b_L^\alpha \bar{q}_L^\beta b_R^\beta$$

$$Q_5 = \bar{q}_R^\alpha b_L^\beta \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_1 = \bar{q}_R^\alpha \gamma_\mu b_R^\alpha \bar{q}_R^\beta \gamma^\mu b_R^\beta$$

$$\tilde{Q}_2 = \bar{q}_L^\alpha b_R^\alpha \bar{q}_L^\beta b_R^\beta$$

$$\tilde{Q}_3 = \bar{q}_L^\alpha b_R^\beta \bar{q}_L^\beta b_R^\beta$$

7 new operators beyond SM/CMFV involving quarks with different chiralities

H_{eff} can be recast in terms of the high-scale $C_i(\Lambda)$

- $C_i(\Lambda)$ can be extracted from the data (one by one)
- the associated NP scale Λ can be defined as

$$\Lambda = \sqrt{\frac{L F_i}{C_i(\Lambda)}} \quad \begin{array}{l} \text{tree/strong interact. NP: } L \sim 1 \\ \text{perturbative NP: } L \sim \alpha_s^2, \alpha_W^2 \end{array}$$

Flavour structures:

MFV

- $F_1 = F_{\text{SM}} \sim (V_{tq} V_{tb}^*)^2$
- $F_{i \neq 1} = 0$

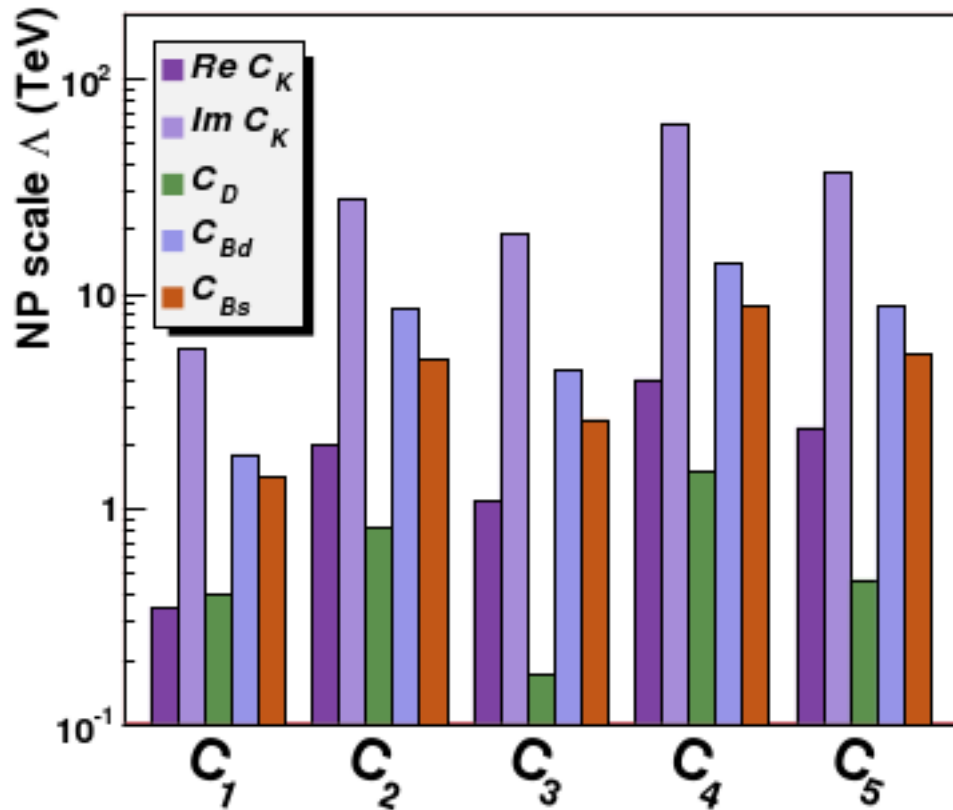
next-to-MFV

- $|F_i| \sim F_{\text{SM}}$
- arbitrary phases

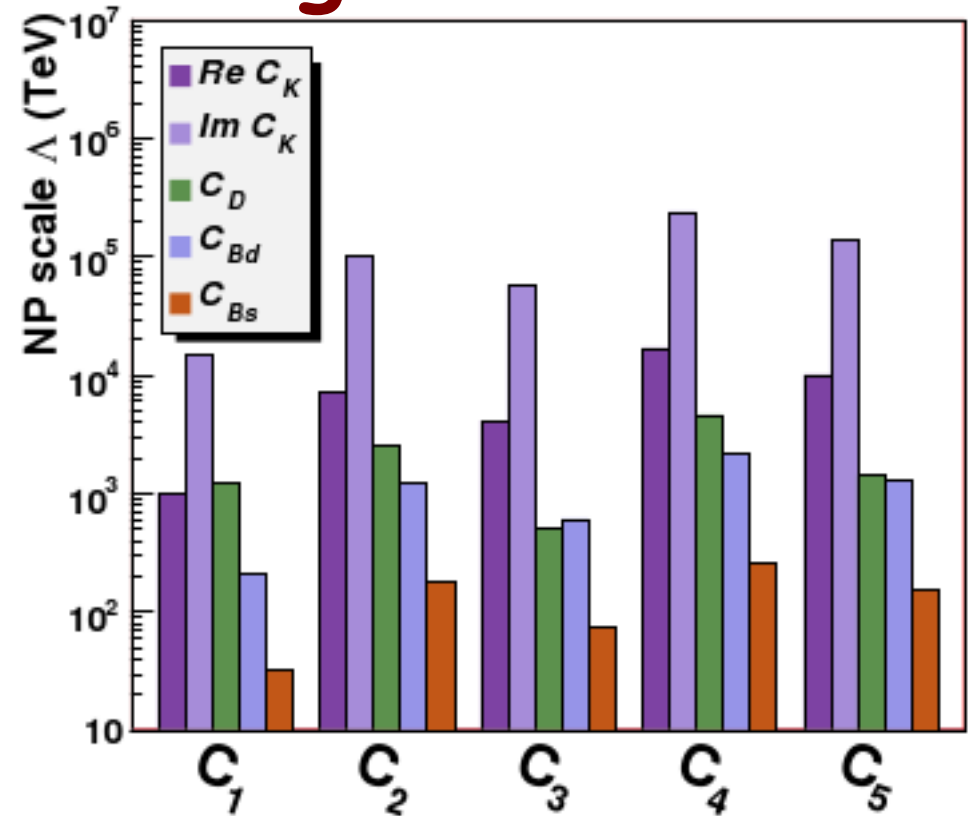
generic

- $|F_i| \sim 1$
- arbitrary phases

MFV



generic FV



Contributions of the $\Delta F=2$ operators to the lower bound on the NP scale in the tree/strong interacting case

present lower bound on the NP scale (TeV @95%)

B + K

Scenario	strong/tree	α_s loop	α_W loop
MFV	5.5	0.5	0.2
NMFV	62	6.2	2
General	24000	2400	800

B only

strong/tree	α_s loop	α_W loop
–	–	–
14	1.4	0.4
2200	220	66

- * $\Delta F=2$ chirality-flipping operators are RG enhanced and thus probe larger NP scales
- * when these operators are allowed, the NP scale is easily pushed beyond the LHC reach (manifestation of the flavour problem)
- * suppression of the $1 \leftrightarrow 2$ transitions strongly weakens the lower bound on the NP scale

$\Delta F=2$ processes occur at the loop level,
thus could receive $O(1)$ NP corrections
but effects $> \sim 20\%$ are excluded

**common misconception: this result points to MFV
(or even establishes MFV)**

if $NP < 1$ TeV

* suppression of flavour-violating couplings required in all sectors *possibly* pointing to MFV

* SUSY can stabilize the Fermi scale with "mild" fine-tuning

if $1 < NP < 10-100$ TeV

* suppression of flavour-violating couplings needed in sector 1-2 only. No indication of MFV

* SUSY can still stabilize the Fermi scale with "moderate" fine-tuning

Evidence for physics beyond the SM

Great potential of flavour physics
to display large deviations from the
Standard Model **but**
not a single evidence in >20 years

Great potential of flavour physics
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...until March 2008!!!



Great potential of flavour physics
to display large deviations from the
Standard Model **but**
not a single evidence in >20 years
...until March 2008!!!

Three new evidences announced:

- * $?.\sigma$ in the CP asymmetries of $B \rightarrow K\pi$
- * 3.8σ in leptonic D_s decays
- * 3σ in the phase of the B_s mixing amplitude

3. new physics in B_s mixing



the TeVatron realm



$$C_{B_s} = 1.11 \pm 0.32$$

$$\phi_{B_s} = (-69 \pm 14)^\circ \cup (-20 \pm 14)^\circ \\ \cup (20 \pm 5)^\circ \cup (72 \pm 8)^\circ$$

* Δm_s

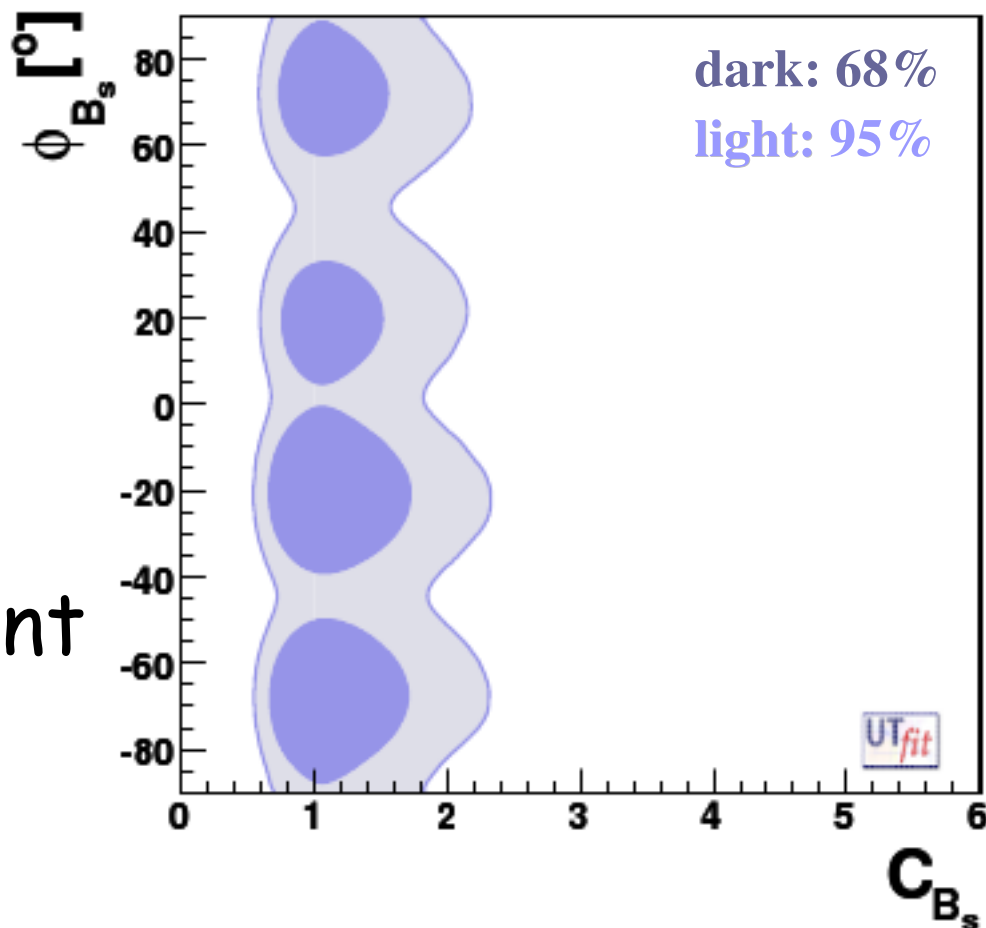
* $\tau_{B_s}^{FS} = \frac{1}{\Gamma_s} \frac{1 + \left(\frac{\Delta\Gamma_s}{2\Gamma_s}\right)^2}{1 - \left(\frac{\Delta\Gamma_s}{2\Gamma_s}\right)^2}$

* A_{SL}^s

* $A_{SL}^{\mu\mu} = \frac{f_d \chi_{d0} A_{SL}^d + f_s \chi_{s0} A_{SL}^s}{f_d \chi_{d0} + f_s \chi_{s0}}$

* $\Delta\Gamma_s$ and ϕ_s from the untagged time-dependent angular analysis of

$B_s \rightarrow J/\psi \phi$



Time-dependent angular analysis

$$\frac{d^4\Gamma}{dt d\cos\theta d\varphi d\cos\psi} \propto$$

$$\begin{aligned} & 2 \cos^2 \psi (1 - \sin^2 \theta \cos^2 \varphi) |A_0(t)|^2 \\ & + \sin^2 \psi (1 - \sin^2 \theta \sin^2 \varphi) |A_{\parallel}(t)|^2 \\ & + \sin^2 \psi \sin^2 \theta |A_{\perp}(t)|^2 \\ & + (1/\sqrt{2}) \sin 2\psi \sin^2 \theta \sin 2\varphi \operatorname{Re}(A_0^*(t) A_{\parallel}(t)) \\ & + (1/\sqrt{2}) \sin 2\psi \sin 2\theta \cos \varphi \operatorname{Im}(A_0^*(t) A_{\perp}(t)) \\ & - \sin^2 \psi \sin 2\theta \sin \varphi \operatorname{Im}(A_{\parallel}^*(t) A_{\perp}(t)). \end{aligned}$$

TAGGED

UNTAGGED

2-fold ambiguity *4-fold ambiguity*

$(\pi-\phi, -\Delta\Gamma_s, \pi-\delta_{1,2})$ $(\pi+\phi, -\Delta\Gamma_s, \pm\delta_{1,2})$

$(-\phi, \Delta\Gamma_s, \pm(\pi-\delta_{1,2}))$

$(\pi-\phi, -\Delta\Gamma_s, \pm(\pi-\delta_{1,2}))$

$$\phi = 2\phi_s$$

$$|A_0(t)|^2 = |A_0(0)|^2 e^{-\Gamma t} \left[\cosh \frac{\Delta\Gamma t}{2} - |\cos \phi| \sinh \frac{|\Delta\Gamma| t}{2} + \sin \phi \sin(\Delta m t) \right]$$

$$|\bar{A}_0(t)|^2 = |A_0(0)|^2 e^{-\Gamma t} \left[\cosh \frac{\Delta\Gamma t}{2} - |\cos \phi| \sinh \frac{|\Delta\Gamma| t}{2} - \sin \phi \sin(\Delta m t) \right]$$

$$\operatorname{Im} \{A_0^*(t) A_{\perp}(t)\} = |A_0(0)| |A_{\perp}(0)| e^{-\Gamma t}$$

$$\times \left[\sin \delta_2 \cos(\Delta m t) - \cos \delta_2 \cos \phi \sin(\Delta m t) - \cos \delta_2 \sin \phi \sinh \frac{\Delta\Gamma t}{2} \right]$$

$$\operatorname{Im} \{\bar{A}_0^*(t) \bar{A}_{\perp}(t)\} = |A_0(0)| |A_{\perp}(0)| e^{-\Gamma t}$$

$$\times \left[-\sin \delta_2 \cos(\Delta m t) + \cos \delta_2 \cos \phi \sin(\Delta m t) - \cos \delta_2 \sin \phi \sinh \frac{\Delta\Gamma t}{2} \right]$$

Recently both CDF and DØ published the tagged time-dependent angular analysis of $B_s \rightarrow J/\Psi \phi$



2D likelihood ratio for $\Delta\Gamma$ and ϕ_s
2-fold ambiguity present, no assumption on the strong phases

arXiv:0712.2397

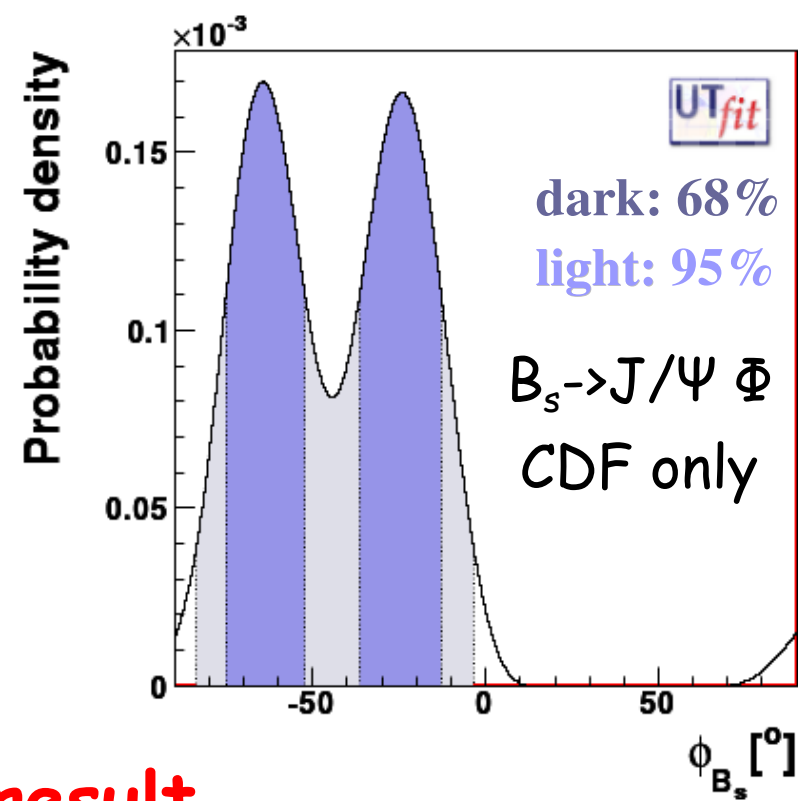


7-parameter fit + correlation matrix
or 1D likelihood profiles of $\Delta\Gamma$ and ϕ_s
2-fold ambiguity removed using strong phases from $B \rightarrow J/\Psi K^* + SU(3) + ?$

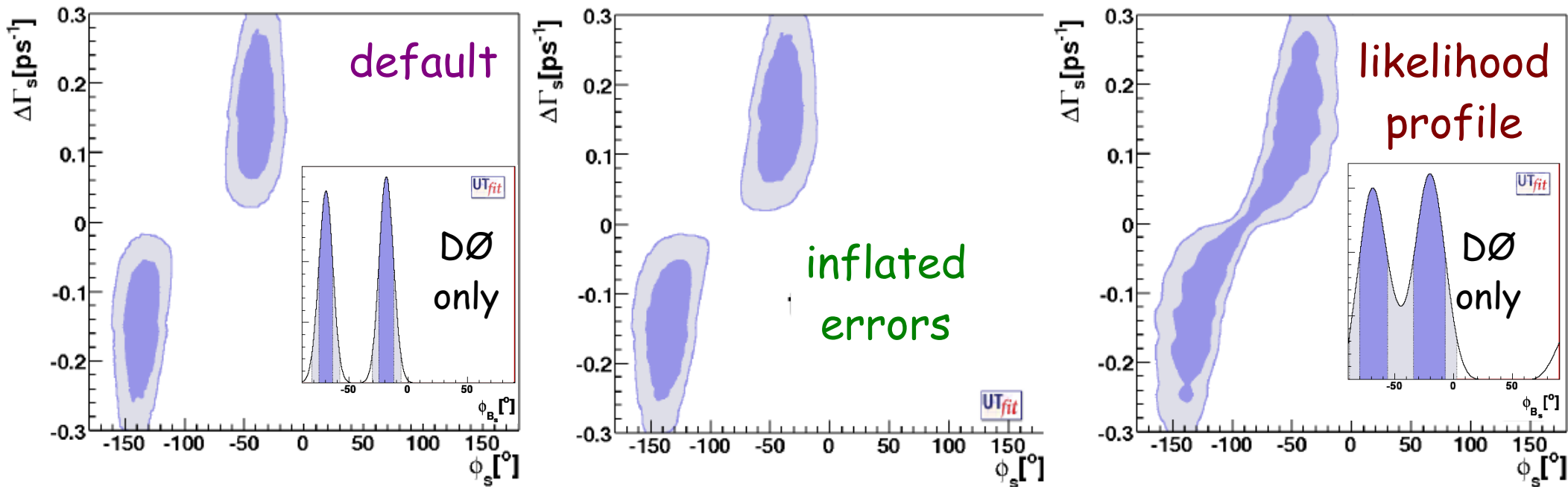
arXiv:0802.2255

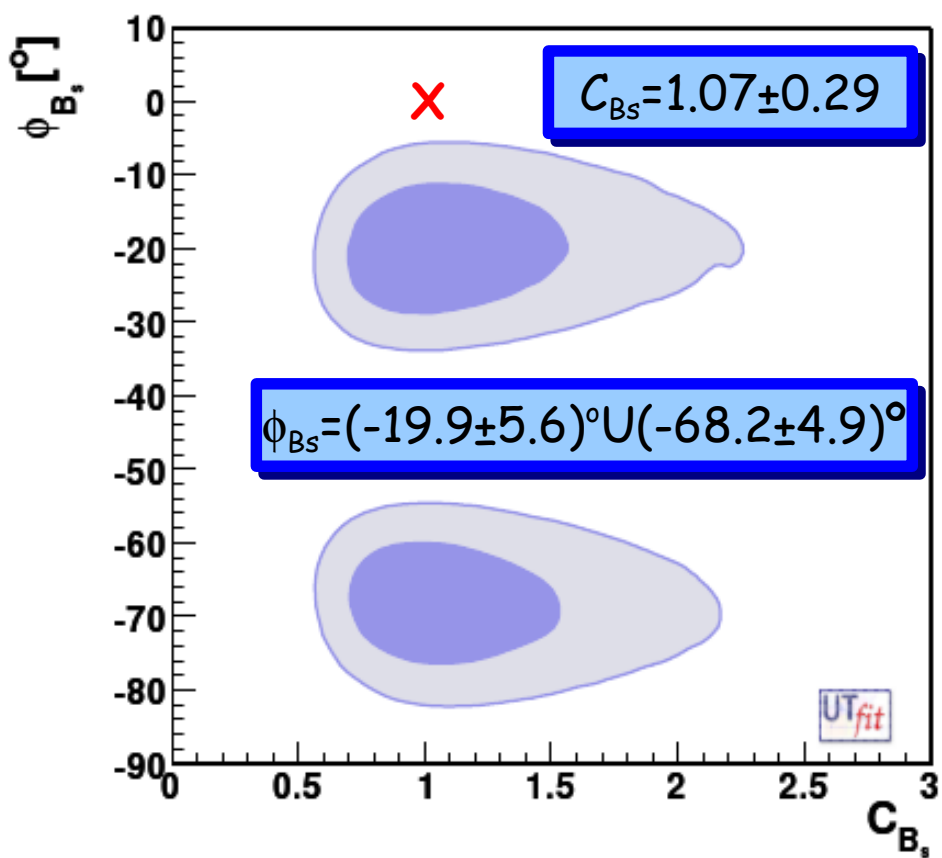
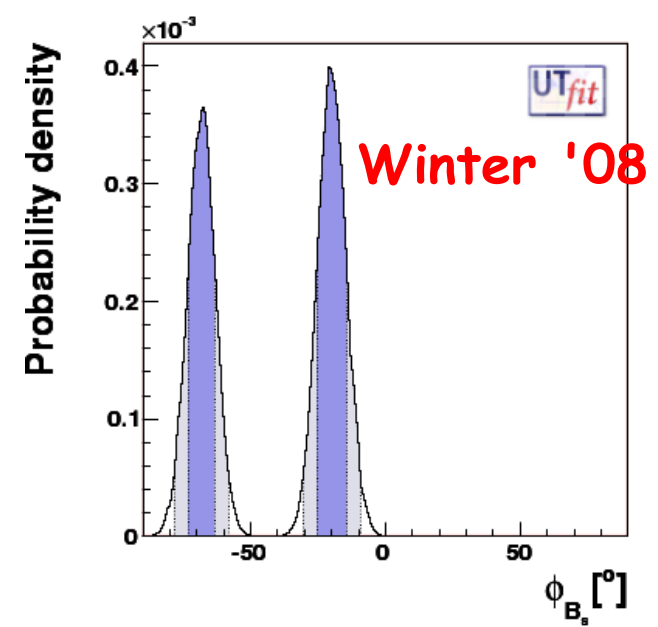
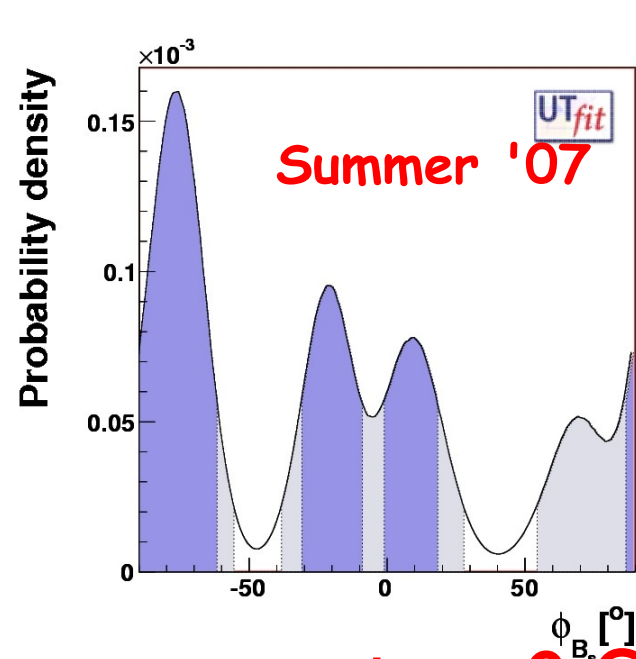
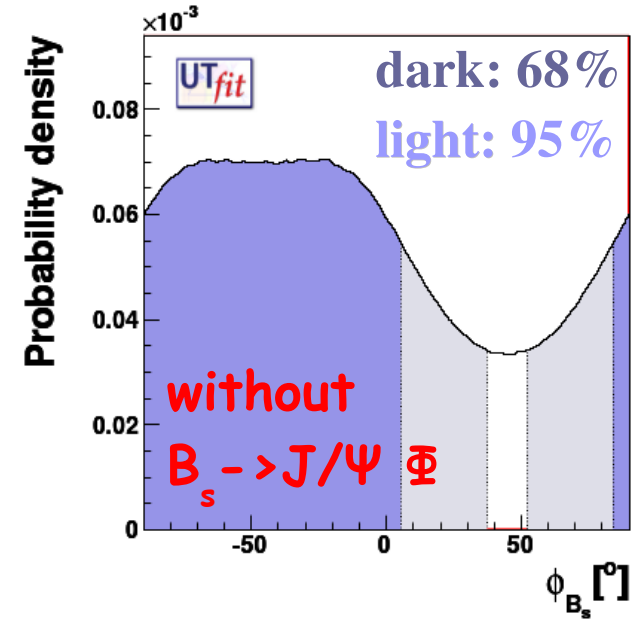
Combining the two measurements requires
some gymnastic with the DØ results...

- * default: CDF likelihood+Gaussian $D\emptyset$ result with 2x2 corr. matrix
- * inflated error: as above, but with error inflated to reproduce the 2σ range computed by $D\emptyset$
- * likelihood profile: using the 1D likelihood profiles for ϕ_s and $\Delta\Gamma_s$



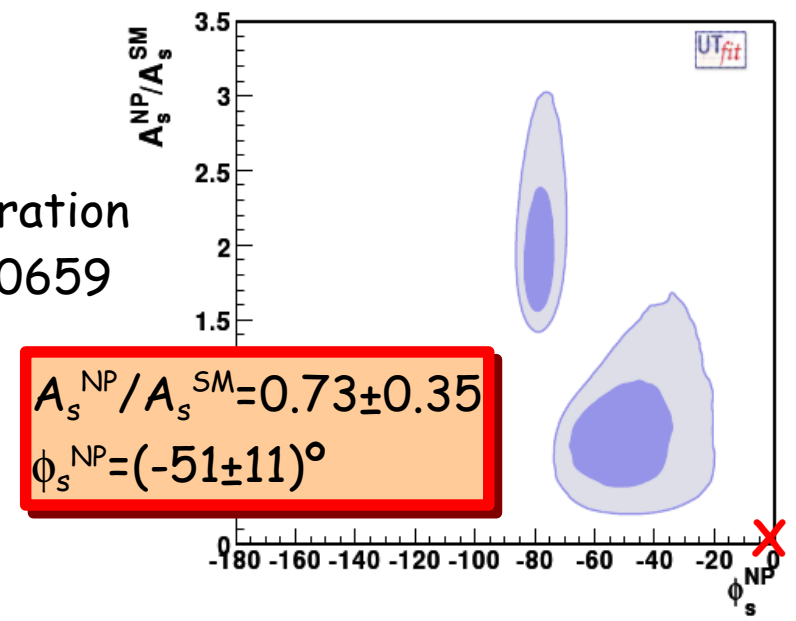
ambiguity reintroduced in the $D\emptyset$ result





$\phi_{B_s} < 0$ @99.7% probability
(equivalent to the Gaussian 3σ level)
for any treatment of the $D\emptyset$ data

UTfit collaboration
arXiv:0803.0659



If this evidence is confirmed...

- * MFV models are ruled out, including the simplest realizations of the MSSM
- * the following pattern of flavour violation in NP emerges:

1 \leftrightarrow 2: strong suppression

1 \leftrightarrow 3: $\leq O(10\%)$

2 \leftrightarrow 3: $O(1)$

this pattern is not unexpected in flavour models and in SUSY-GUTs

- * In progress: (i) update of the $\Delta F=2$ operator analysis, (ii) correlations with $\Delta F=1$ in the MSSM

preliminary

Upper bound on the NP scale

In the presence of a NP evidence
the EFT analysis also gives an
UPPER bound on the NP scale (TeV @95%)

Scenario	strong/tree	α_s loop	α_W loop
NMFV	35	4	2
General	800	80	30

upper bound < lower bound !!!

**the pattern of the flavour couplings
cannot be general nor SM-like**

MSSM + generic soft SUSY-breaking terms

All flavour-changing NP effects in the squark propagators

$$\begin{array}{ccc}
 & (\delta_{ij}^q)_{AB} & q = \{u, d\}, \quad (A, B) = \{L, R\} \\
 (\tilde{q}_i)_A & \text{---} \text{---} \text{---} \times \text{---} \text{---} \text{---} & (\tilde{q}_j)_B \quad (i, j) = \{1, 2, 3\}
 \end{array}$$

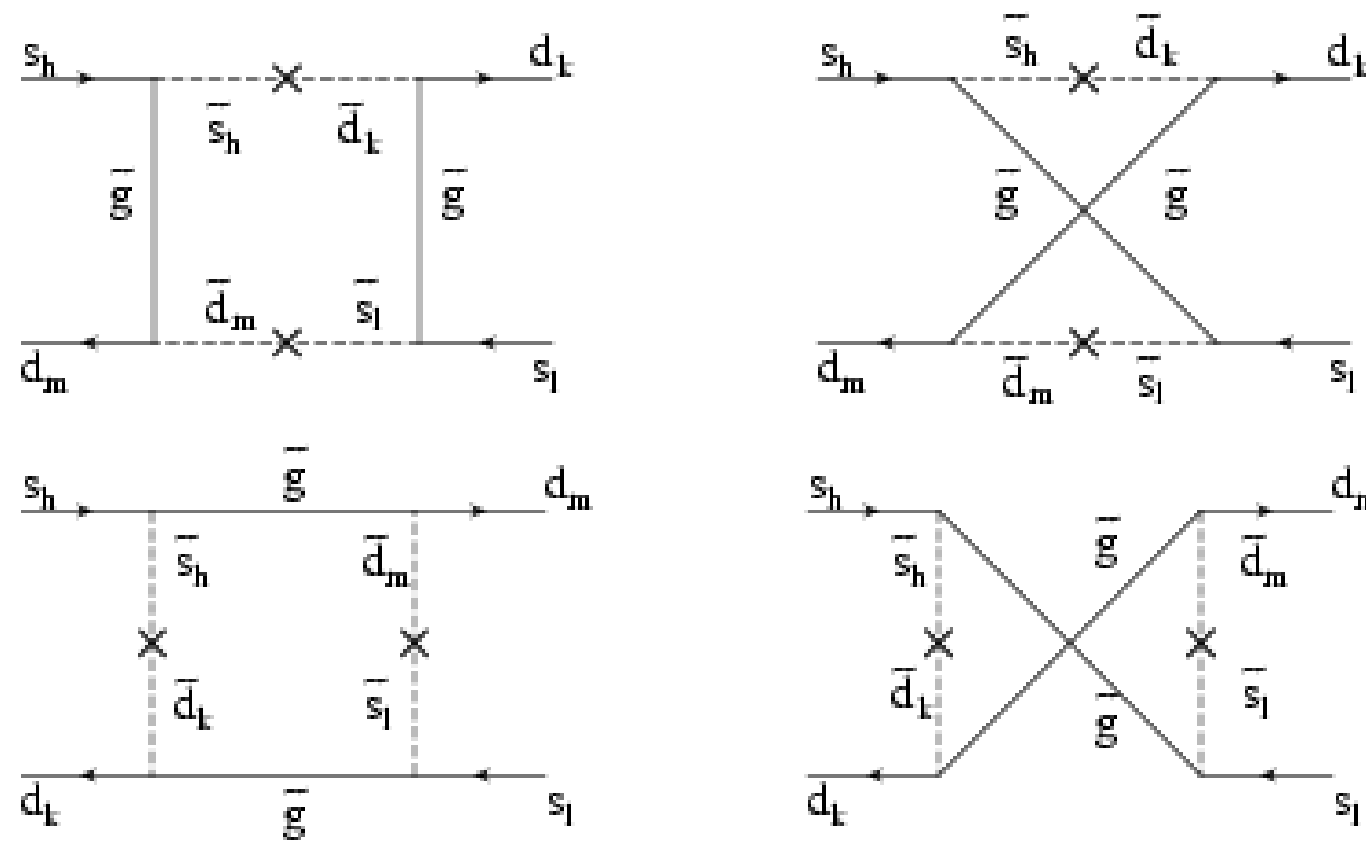
▶ NP scale: SUSY masses $\tilde{m} \sim m_{\tilde{g}}$

▶ flavour-violating couplings: $(\delta_{ij}^q)_{AB} \equiv \frac{(M_{ij}^2)^q}{\tilde{m}^2}$

$$(M^2)^{\tilde{d}} = \begin{pmatrix} m_{\tilde{d}_L}^2 & m_d(A_d - \mu \tan \beta) & (\Delta_{12}^d)_{LL} & (\Delta_{12}^d)_{LR} & (\Delta_{13}^d)_{LL} & (\Delta_{13}^d)_{LR} \\ & m_{\tilde{d}_R}^2 & (\Delta_{12}^d)_{RL} & (\Delta_{12}^d)_{RR} & (\Delta_{13}^d)_{RL} & (\Delta_{13}^d)_{RR} \\ & & m_{\tilde{s}_L}^2 & m_s(A_s - \mu \tan \beta) & (\Delta_{23}^d)_{LL} & (\Delta_{23}^d)_{LR} \\ & & & m_{\tilde{s}_R}^2 & (\Delta_{23}^d)_{RL} & (\Delta_{23}^d)_{RR} \\ & & & & m_{\tilde{b}_L}^2 & m_b(A_b - \mu \tan \beta) \\ & & & & & m_{\tilde{b}_R}^2 \end{pmatrix}$$

trivial changes in
the case $\Delta B=2$

**dominant
gluino-squark
contributions
to the Wilson
coefficients**



$$C_1 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{LL}^2 f_1(x) \quad C_2 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{RL}^2 f_2(x) \quad C_3 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{RL}^2 f_3(x)$$

$$\tilde{C}_1 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{RR}^2 f_1(x) \quad \tilde{C}_2 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{LR}^2 f_2(x) \quad \tilde{C}_3 = \frac{\alpha_s^2}{\tilde{m}^2} (\delta_{12}^d)_{LR}^2 f_3(x)$$

$$C_4 = \frac{\alpha_s^2}{\tilde{m}^2} \left[(\delta_{12}^d)_{LL} (\delta_{12}^d)_{RR} f_4(x) + (\delta_{12}^d)_{LR} (\delta_{12}^d)_{RL} \tilde{f}_4(x) \right]$$

$$C_5 = \frac{\alpha_s^2}{\tilde{m}^2} \left[(\delta_{12}^d)_{LL} (\delta_{12}^d)_{RR} f_5(x) + (\delta_{12}^d)_{LR} (\delta_{12}^d)_{RL} \tilde{f}_5(x) \right]$$

Gabbiani et al.,
hep-ph/9604387

* chirality-flipping mass insertions are strongly bounded by $b \rightarrow s \gamma$: they are too small to produce the measured ϕ_s

case #1: single mass insertion, e.g. $(\delta_{23})_{LL}$

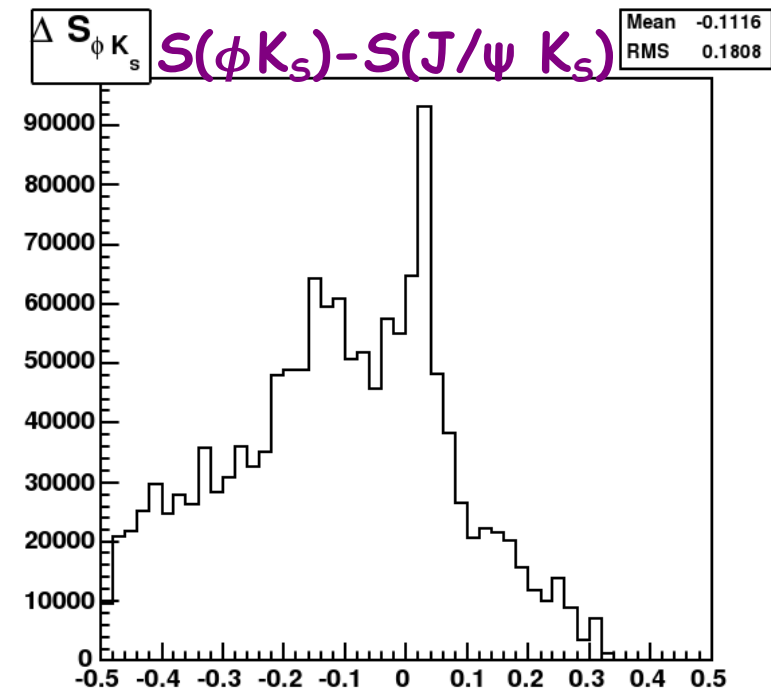
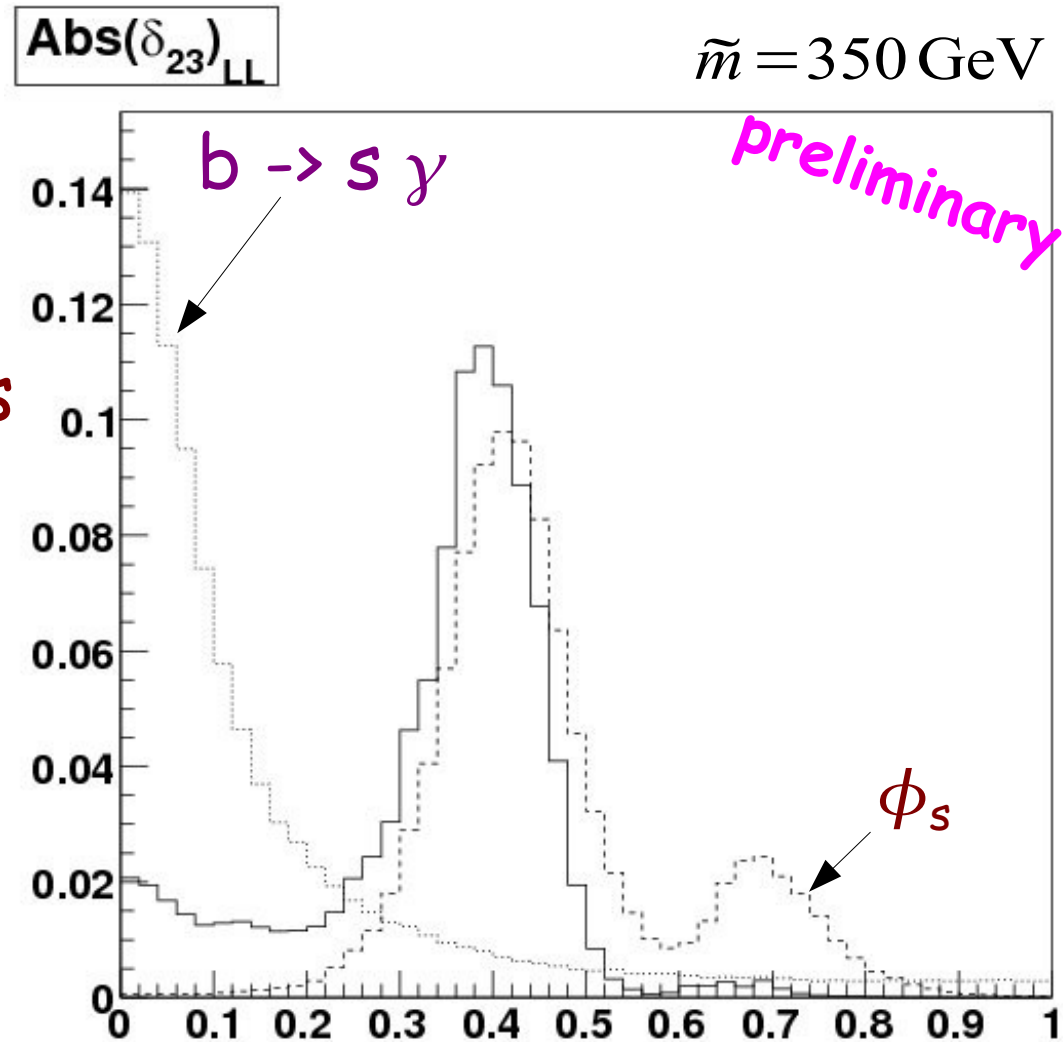
* large MI needed for ϕ_s :

tension with $b \rightarrow s \gamma$

* MI saturates at 1:

upper bound $\tilde{m} < O(1 \text{ TeV})$

* huge effect in $b \rightarrow s$ penguins



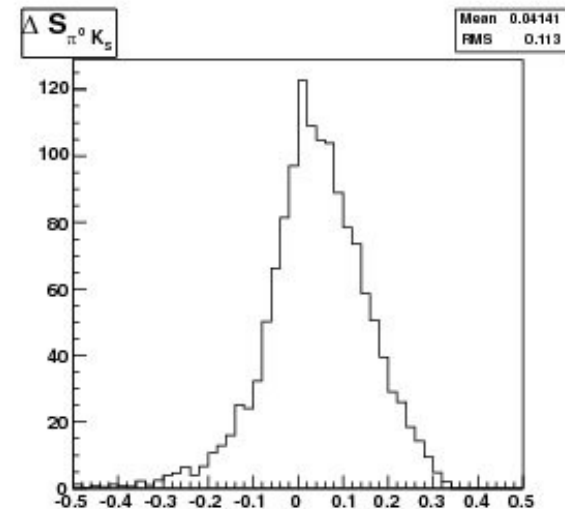
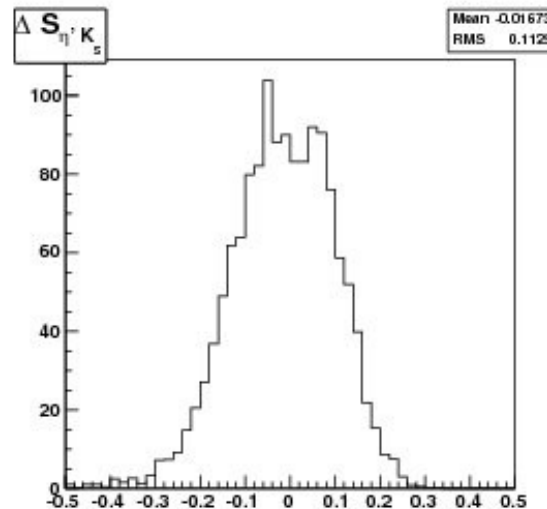
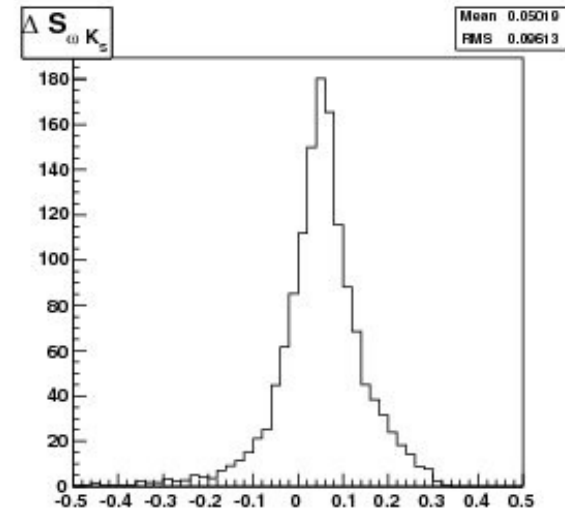
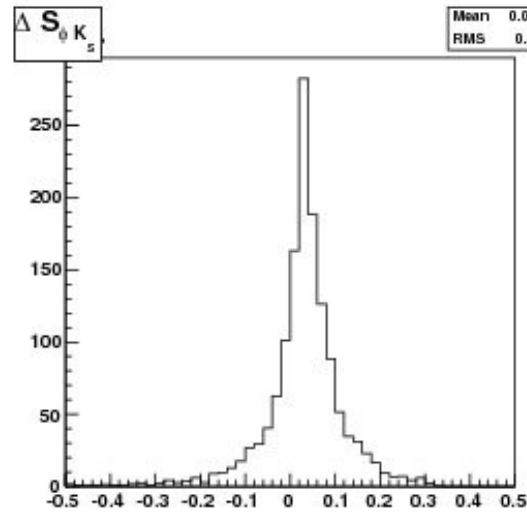
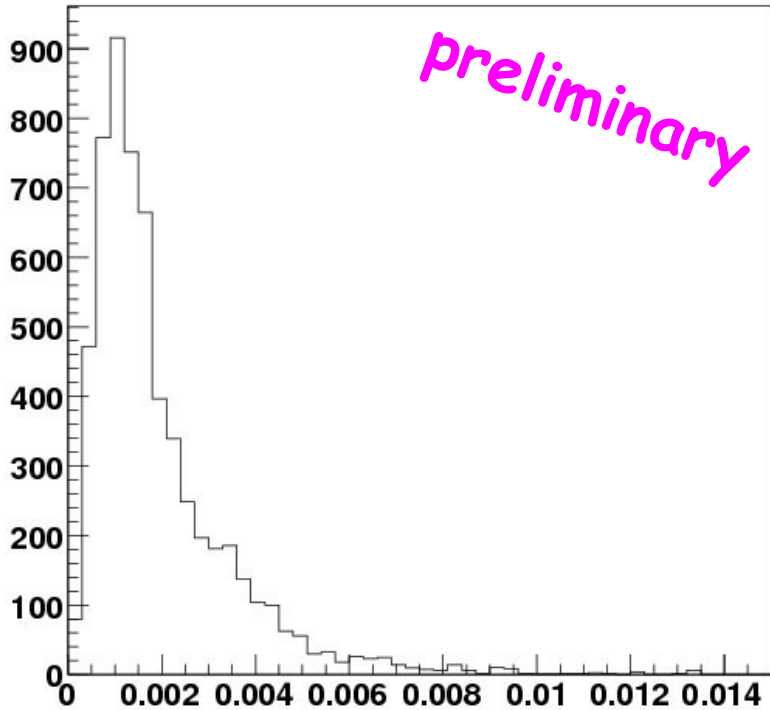
case #2: double mass insertion, $(\delta_{23})_{LL}$ & $(\delta_{23})_{RR}$

* no need of large MIs: $(\delta_{23})_{LL} \sim (\delta_{23})_{RR} \sim 3-4 \cdot 10^{-2}$

$b \rightarrow s \gamma$ is no longer a problem

Abs $(\delta_{23})_{LL}$ $(\delta_{23})_{RR}$

preliminary



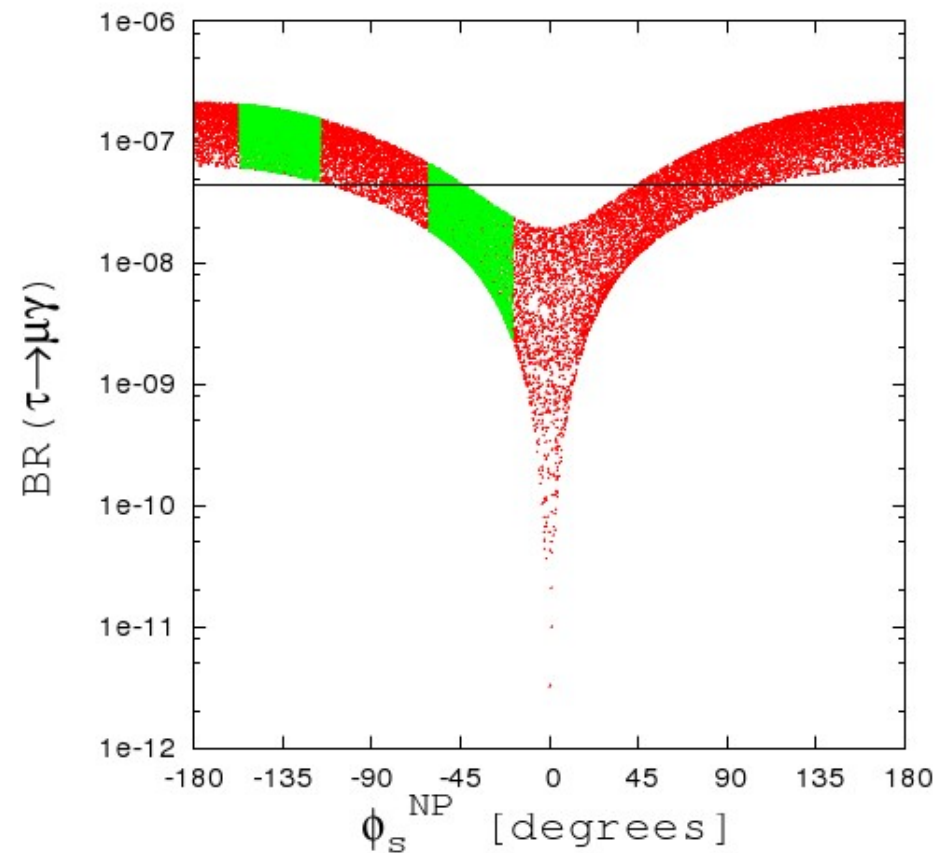
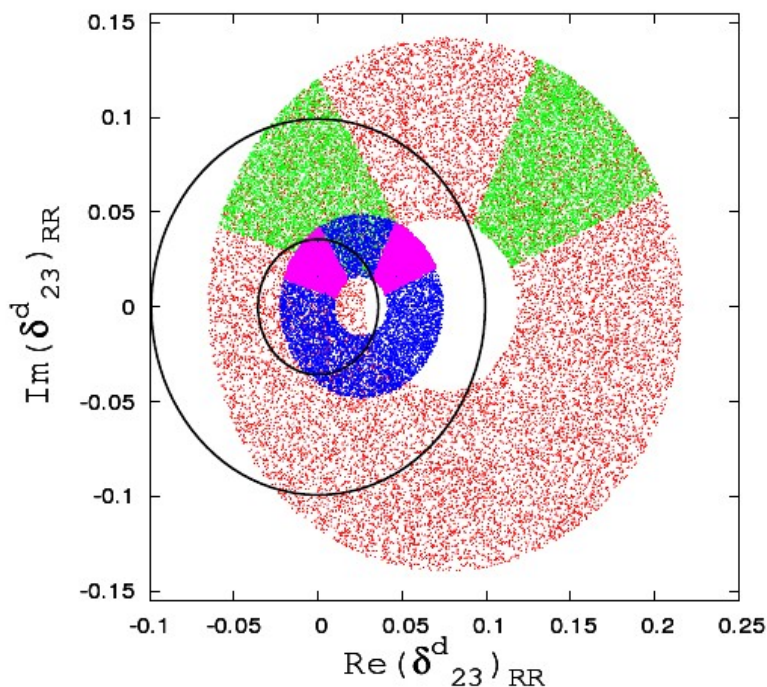
* large effects in $b \rightarrow s$ penguins still possible (larger if LR MIs are also switched on)

Lower bound on FV in SUSY-GUT's

Parry, Zhang, arXiv:0710.5443v2

mass insertion analysis in a
SUSY-GUT scheme

- * RG-induced $(\delta_{23})_{LL}$
- * explicit $(\delta_{23})_{RR}$

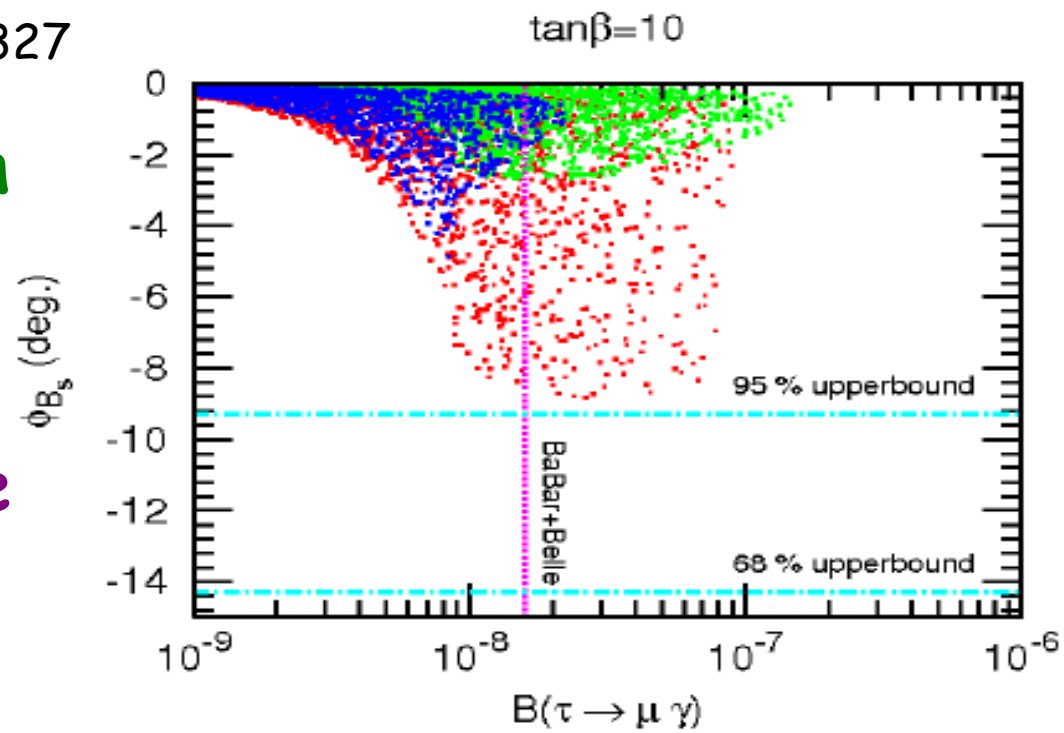


In the UTfit range for the B_s
mixing phase:

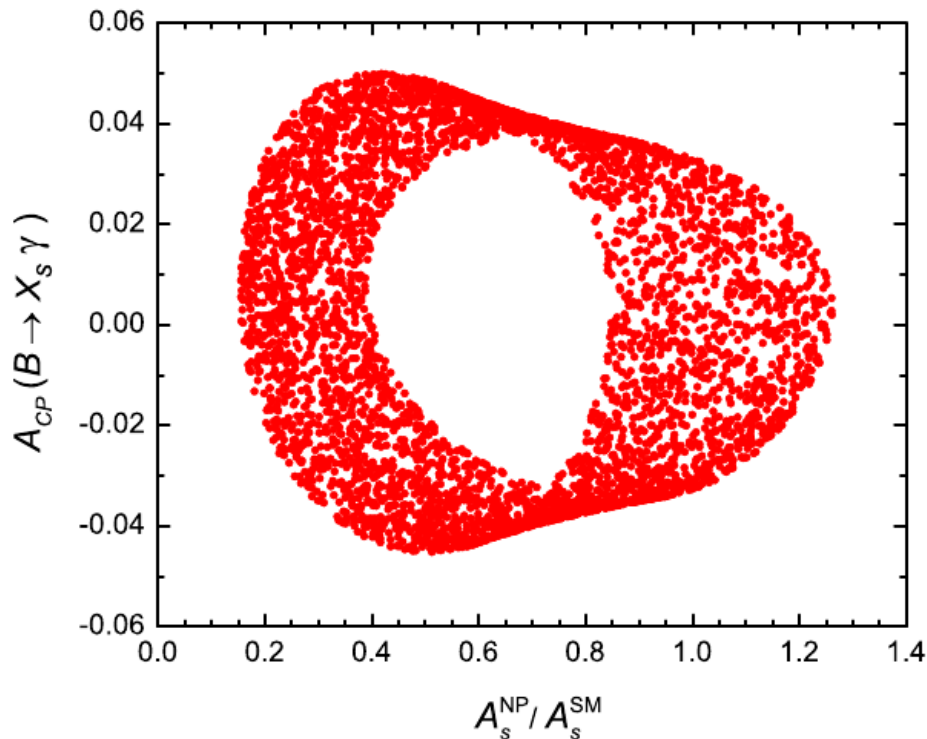
$$BR(\tau \rightarrow \mu \gamma) > 3 \times 10^{-9} !!$$

In a $SU(5)$ SUSY-GUT with ν_R and supergravity-like boundary conditions:

large φ_s requires too large $BR(\tau \rightarrow \mu \gamma)$: marginal !!!



Dutta, Mimura, arXiv:0805.2988



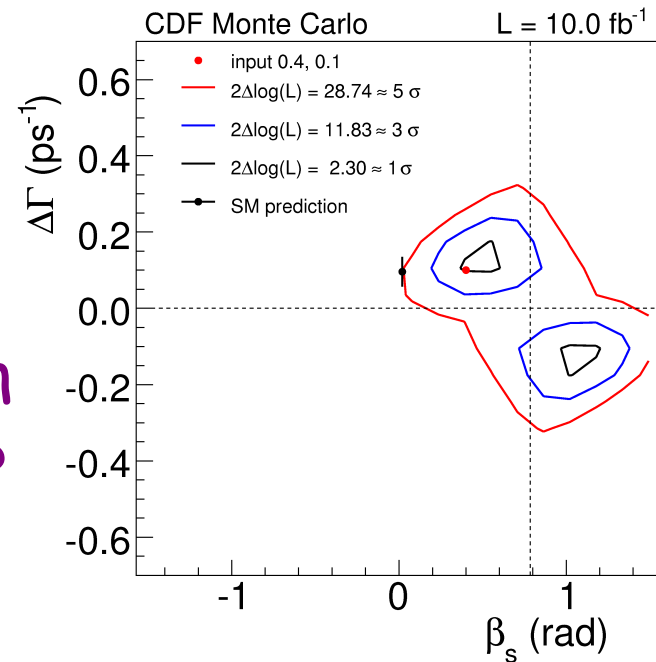
Enlarging the GUT group to $SO(10)$, the correlation φ_s - $BR(\tau \rightarrow \mu \gamma)$ can be relaxed
 large φ_s correspond to large CP asymmetries in $B \rightarrow X_s \gamma$

Flavour Physics Roadmap

now-2009: TeVatron



observation
of $\phi_s \sim -20^\circ$



2009-2015: LHC

+MEG
+JPARC



- ϕ_s down to the SM value
- $BR(B_s \rightarrow \mu\mu)$ down to SM value
- UT angle γ with $\delta\gamma \sim 2-3^\circ$

2015-2020: TOV?



EVERYTHING ELSE!!! (but K)

τ_{FV} , $A_{CP}(b \rightarrow s)$, $b \rightarrow s$ penguins,
CKM at 1% (with LQCD help),
 $B \rightarrow l\nu$, $S(K^*\gamma)$, $B \rightarrow K\nu\nu$, D CPV, ...

Spare Slides

1. new physics in $K\pi$ CP asymmetries?

$$\mathcal{A}_{K^\pm \pi^\mp} \equiv \frac{N(\bar{B}^0 \rightarrow K^- \pi^+) - N(B^0 \rightarrow K^+ \pi^-)}{N(\bar{B}^0 \rightarrow K^- \pi^+) + N(B^0 \rightarrow K^+ \pi^-)} = -0.094 \pm 0.018 \pm 0.008$$

Belle collaboration
Nature 452,2008

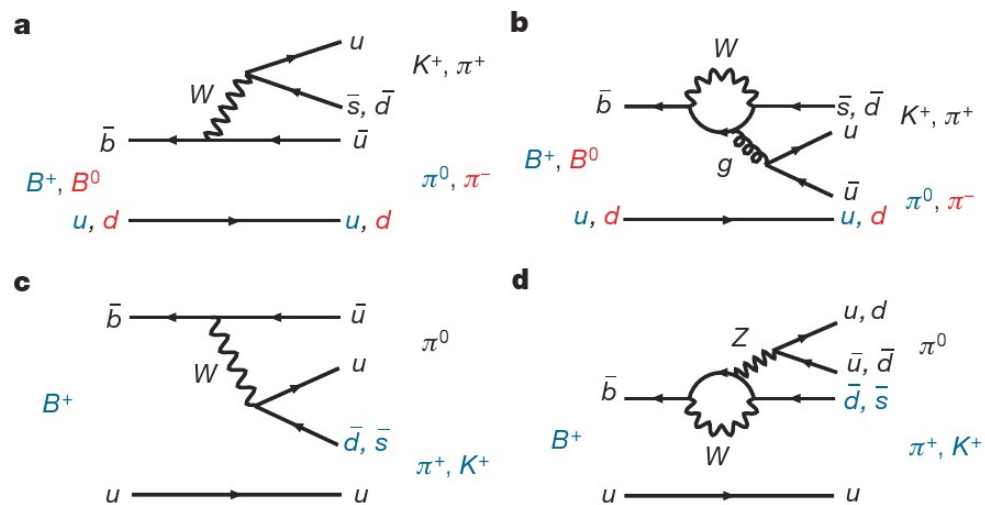
$$\mathcal{A}_{K^\pm \pi^0} = +0.07 \pm 0.03 \pm 0.01$$

$$\Delta\mathcal{A} \equiv \mathcal{A}_{K^\pm \pi^0} - \mathcal{A}_{K^\pm \pi^\mp} = +0.164 \pm 0.037$$

difference: 4.4σ

Is this new physics?

It could be but SM predictions depend on hadronic models



Silvestrini
arXiv:0705.1624

	QCDF [50]	PQCD [54, 55]	SCET [58]	GP [92]
$A_{CP}(\pi^0 K^-)$	$7.1^{+1.7+2.0+0.8+9.0}_{-1.8-2.0-0.6-9.7}$	-1^{+3}_{-5}	$-11 \pm 9 \pm 11 \pm 2$	3.4 ± 2.4
$A_{CP}(\pi^+ K^-)$	$4.5^{+1.1+2.2+0.5+8.7}_{-1.1-2.5-0.6-9.5}$	-9^{+6}_{-8}	$-6 \pm 5 \pm 6 \pm 2$	-8.9 ± 1.6

preliminary GP: general parametrization

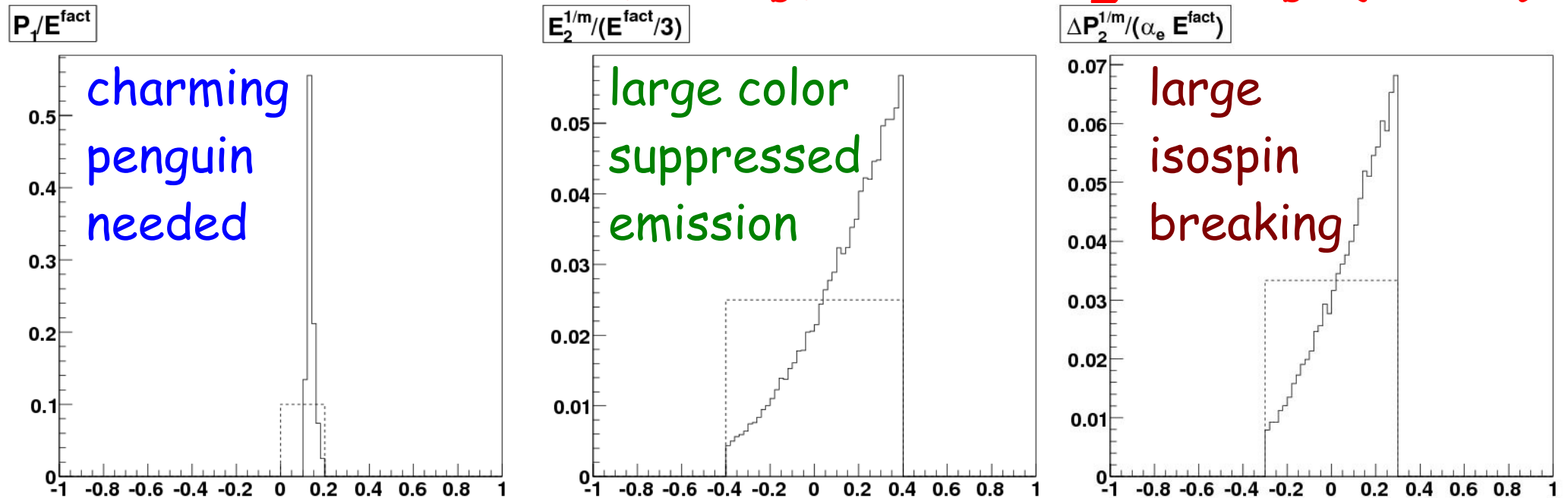
$$A(K^+ \pi^-) = V_{ts} V_{tb}^* (P_1 + \Delta P_1) - V_{us} V_{ub}^* E_1$$

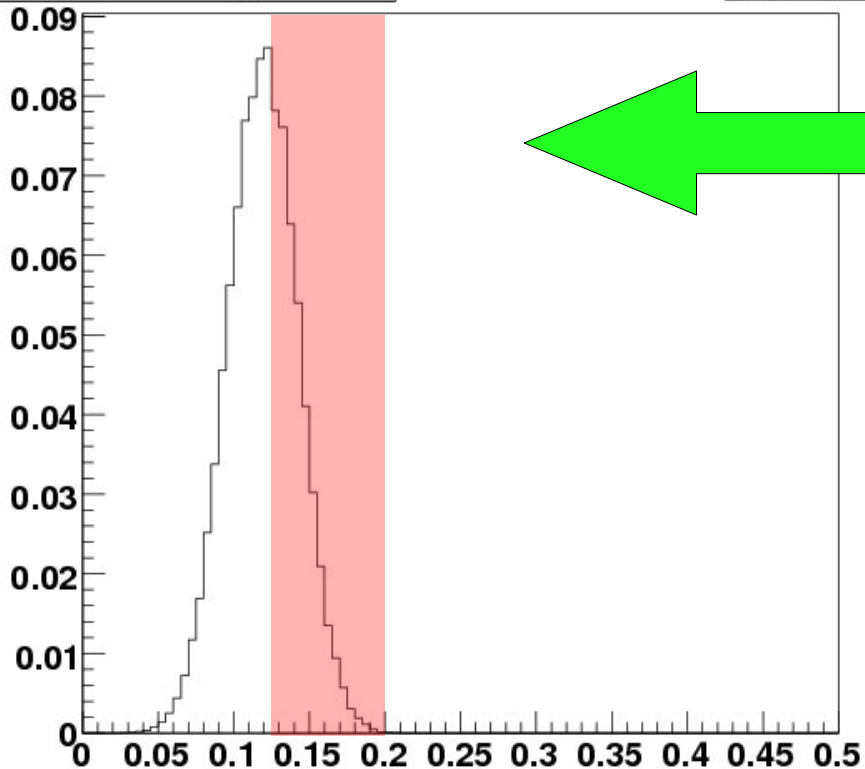
$$\sqrt{2} A(K^+ \pi^0) = V_{ts} V_{tb}^* (P_1 + \Delta P_1 + \Delta P_2) - V_{us} V_{ub}^* (E_1 + E_2 + A_1)$$

$$E_1 \sim E^{\text{fact}} + E_1^{1/m}, \quad E_2 \sim E^{\text{fact}}/3 + E_2^{1/m}, \quad P_1 \sim E^{\text{fact}} \Lambda/m_b$$

$$A_1 \sim E^{\text{fact}} \Lambda/m_b, \quad \Delta P_1 \sim \alpha_e E^{\text{fact}}/3 + \Delta P_1^{1/m}, \quad \Delta P_2 \sim \alpha_e E^{\text{fact}} + \Delta P_2^{1/m}$$

Fit $K\pi$ data with $|\Lambda/m_b| < 0.4$, $\arg \Lambda/m_b = (0, 2\pi)$

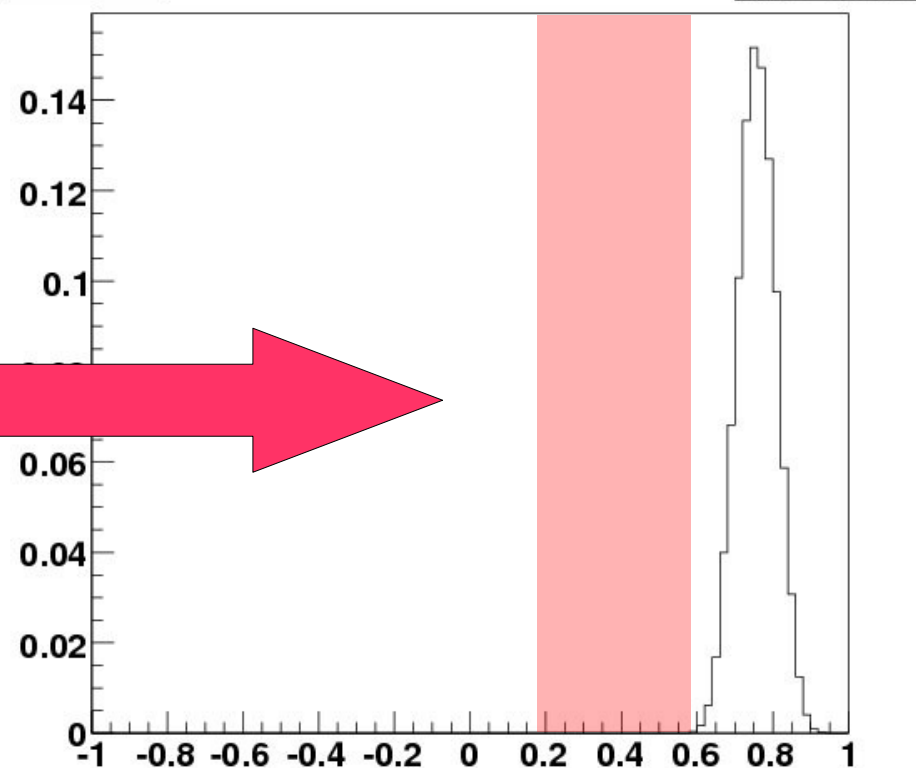


$A_{CP}(K^+\pi^0) - A_{CP}(K^+\pi^-)$ Mean 0.119
RMS 0.02308*preliminary*

No clash with
the Belle measurement
of the CP asymmetries

However...

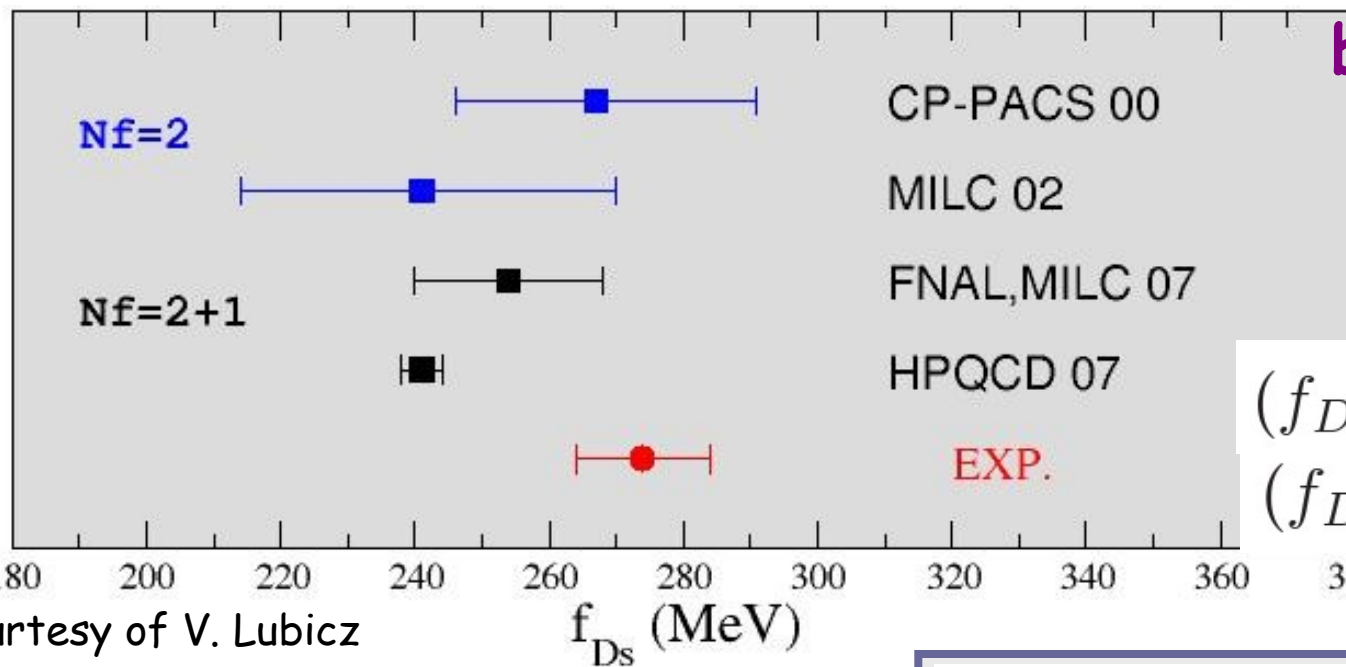
$$S(K_S\pi^0)_{exp} = 0.38 \pm 0.19$$

 $S(K_S\pi^0)$ Mean 0.7572
RMS 0.0505

2. Evidence for non-standard leptonic decays of D_s mesons

Dobrescu, Kronfeld
arXiv:0803.0512

$$B(D_s \rightarrow \ell \nu) = \frac{m_{D_s}}{8\pi} \tau_{D_s} f_{D_s}^2 |G_F V_{cs}^* m_\ell|^2 \left(1 - \frac{m_\ell^2}{m_{D_s}^2}\right)^2$$



based on the latest
lattice result only

Follana et al.

arXiv:0706.1726

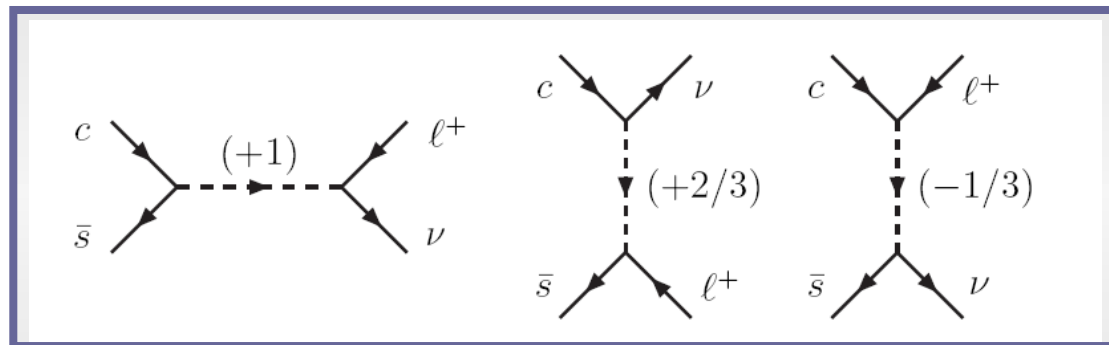
$$(f_{D_s})_{\text{QCD}} = 241 \pm 3 \text{ MeV}$$

$$(f_{D_s})_{\text{expt}} = 277 \pm 9 \text{ MeV}$$

difference: 3.8σ

“exotic” new physics:

- leptoquarks
- exotic charged Higgs



Conclusions

Flavour physics is a unique tool for searching and studying NP complementary to the LHC

There is a first evidence for NP in $b \leftrightarrow s$ transitions. Confirmation in Summer

From $\Delta F=2$ transitions, a pattern of flavour violation in NP emerges:

$2 \leftrightarrow 3: O(1)$, $1 \leftrightarrow 3: < O(0.1)$, $1 \leftrightarrow 2$ strong suppr.

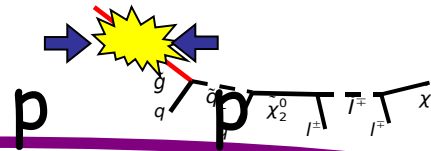
The next 15 years of flavour physics are well motivated and clearly planned:
exciting times ahead

SuperB New Physics

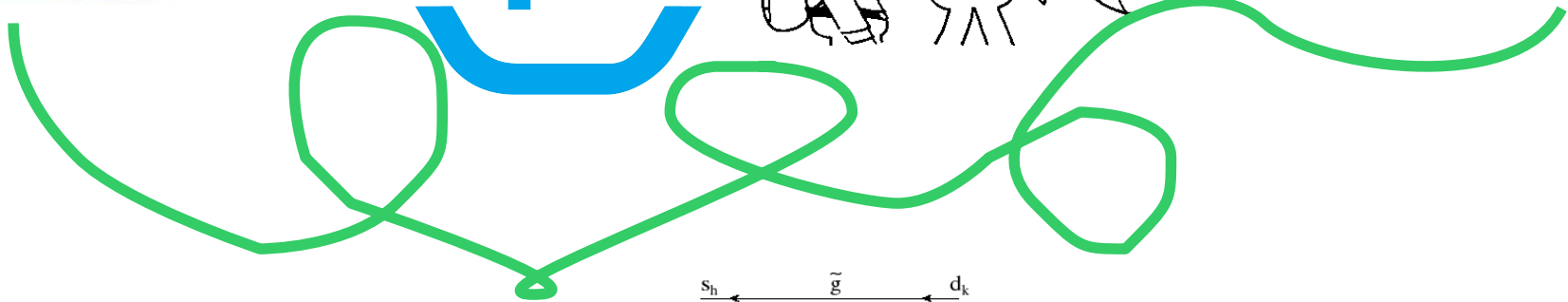
Marco Ciuchini - INFN

Standard Model

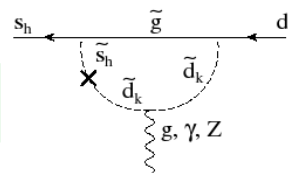
"The relativistic path"



New Physics



"The quantum path"



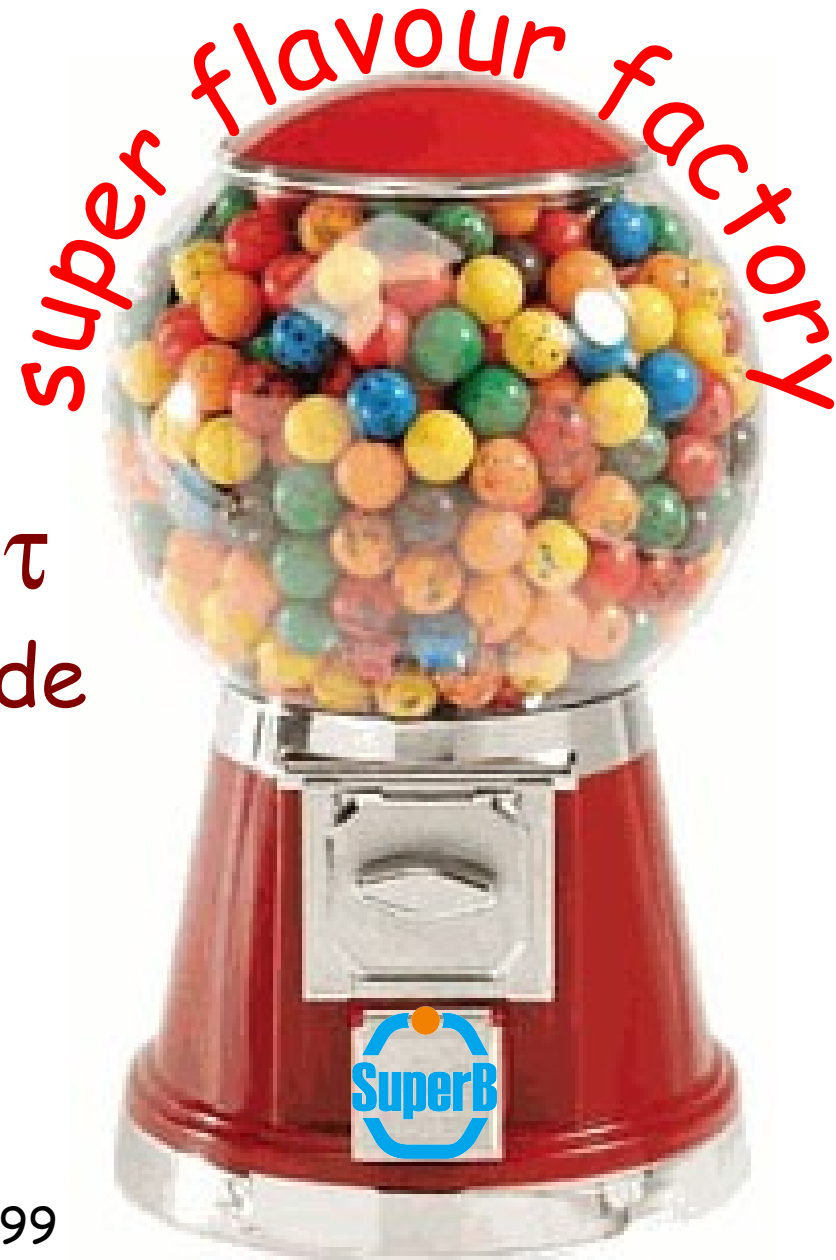
What is SuperB?

- improve precision/sensitivity of B-factories x5-10
- test the CKM paradigm and determine V_{CKM} at 1% level
- increase sensitivity to LFV in τ decays by 1 order of magnitude
- explore CPV with charm

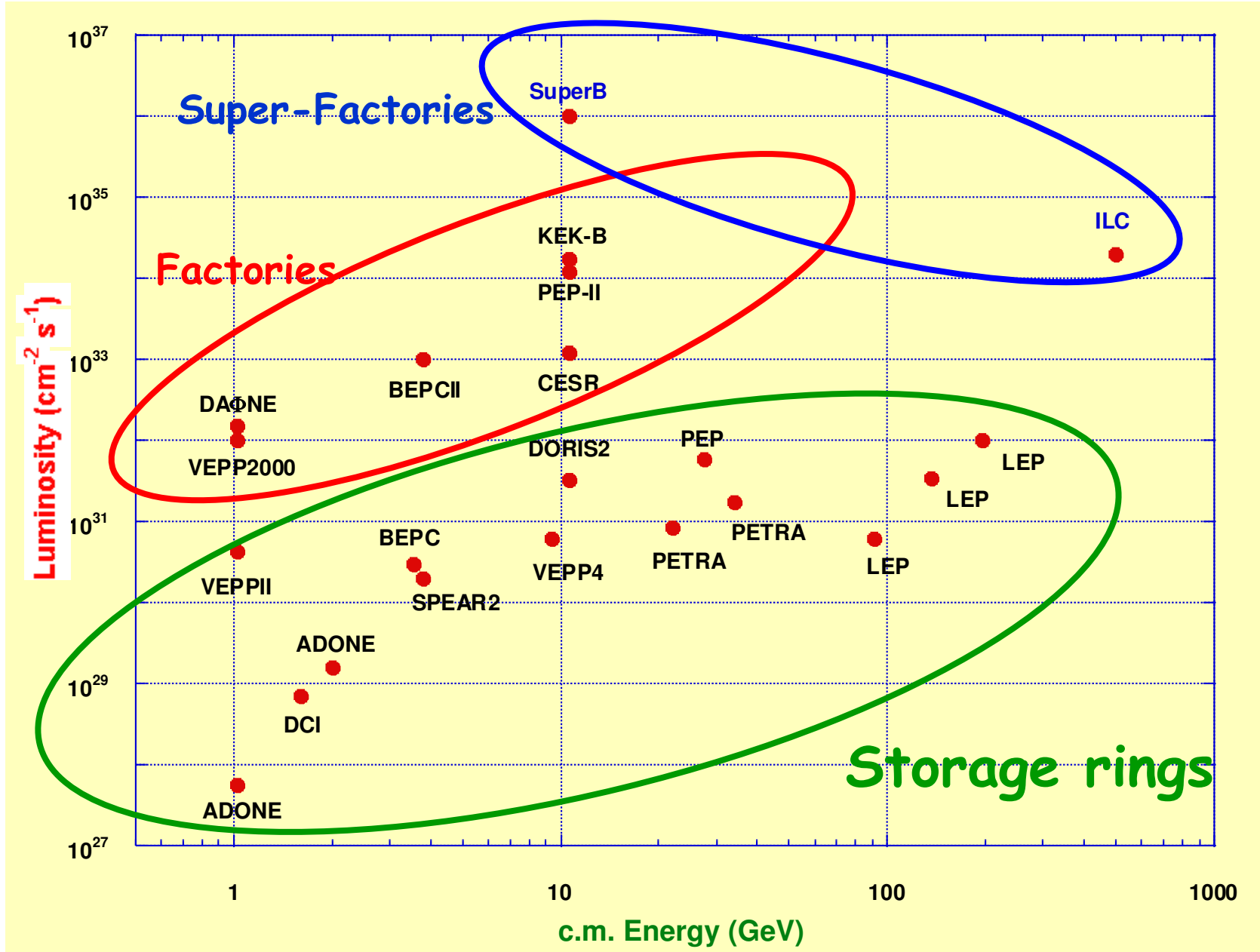
feasible with 75 ab^{-1} collected
at the $\Upsilon(4S)$

SuperB CDR, arXiv:0709.0451

T. Browder et al., arXiv:0710.3799



$e^+ e^-$ colliders



SuperB physics in tables

Observable	B factories (2 ab ⁻¹)	SuperB (75 ab ⁻¹)
sin(2β) (J/ψ K ⁰)	0.018	0.005 (†)
cos(2β) (J/ψ K ^{*0})	0.30	0.05
sin(2β) (Dh ⁰)	0.10	0.02
cos(2β) (Dh ⁰)	0.20	0.04
S(J/ψ π ⁰)	0.10	0.02
S(D ⁺ D ⁻)	0.20	0.03
S(φK ⁰)	0.13	0.02 (*)
S(η'K ⁰)	0.05	0.01 (*)
S(K _S ⁰ K _S ⁰ K _S ⁰)	0.15	0.02 (*)
S(K _S ⁰ π ⁰)	0.15	0.02 (*)
S(ωK _S ⁰)	0.17	0.03 (*)
S(f ₀ K _S ⁰)	0.12	0.02 (*)
γ (B → DK, D → CP eigenstates)	~ 15°	2.5°
γ (B → DK, D → suppressed states)	~ 12°	2.0°
γ (B → DK, D → multibody states)	~ 9°	1.5°
γ (B → DK, combined)	~ 6°	1-2°
α (B → ππ)	~ 16°	3°
α (B → ρρ)	~ 7°	1-2° (*)
α (B → ρπ)	~ 12°	2°
α (combined)	~ 6°	1-2° (*)
2β + γ (D ^{(*)±} π [∓] , D [±] K _S ⁰ π [∓])	20°	5°
V _{cb} (exclusive)	4% (*)	1.0% (*)
V _{cb} (inclusive)	1% (*)	0.5% (*)
V _{ub} (exclusive)	8% (*)	3.0% (*)
V _{ub} (inclusive)	8% (*)	2.0% (*)
BR(B → τν)	20%	4% (†)
BR(B → μν)	visible	5%
BR(B → Dτν)	10%	2%
BR(B → ργ)	15%	3% (†)
BR(B → ωγ)	30%	5%
A _{CP} (B → K [*] γ)	0.007 (†)	0.004 († *)
A _{CP} (B → ργ)	~ 0.20	0.05
A _{CP} (b → sγ)	0.012 (†)	0.004 (†)
A _{CP} (b → (s + d)γ)	0.03	0.006 (†)
S(K _S ⁰ π ⁰ γ)	0.15	0.02 (*)
S(ρ ⁰ γ)	possible	0.10
A _{CP} (B → K [*] ℓℓ)	7%	1%
A ^F B(B → K [*] ℓℓ)s ₀	25%	9%
A ^F B(B → X _s ℓℓ)s ₀	35%	5%
BR(B → Kνν̄)	visible	20%
BR(B → πνν̄)	-	possible

Mode	Observable	B Factories (2 ab ⁻¹)	SuperB (75 ab ⁻¹)
D ⁰ → K ⁺ K ⁻	y _{CP}	2-3 × 10 ⁻³	5 × 10 ⁻⁴
D ⁰ → K ⁺ π ⁻	y' _D	2-3 × 10 ⁻³	7 × 10 ⁻⁴
	x' _D	1-2 × 10 ⁻⁴	3 × 10 ⁻⁵
D ⁰ → K _S ⁰ π ⁺ π ⁻	y _D	2-3 × 10 ⁻³	5 × 10 ⁻⁴
	x _D	2-3 × 10 ⁻³	5 × 10 ⁻⁴
Average	y _D	1-2 × 10 ⁻³	3 × 10 ⁻⁴
	x _D	2-3 × 10 ⁻³	5 × 10 ⁻⁴

5-10x improvement

Process	Sensitivity
B(τ → μ γ)	2 × 10 ⁻⁹
B(τ → e γ)	2 × 10 ⁻⁹
B(τ → μ μ μ)	2 × 10 ⁻¹⁰
B(τ → eee)	2 × 10 ⁻¹⁰
B(τ → μ η)	4 × 10 ⁻¹⁰
B(τ → e η)	6 × 10 ⁻¹⁰
B(τ → ℓ K _S ⁰)	2 × 10 ⁻¹⁰

+ τ FC physics (CPV, ...)

Observable	Sensitivity
D ⁰ → e ⁺ e ⁻ , D ⁰ → μ ⁺ μ ⁻	1 × 10 ⁻⁸
D ⁰ → π ⁰ e ⁺ e ⁻ , D ⁰ → π ⁰ μ ⁺ μ ⁻	2 × 10 ⁻⁸
D ⁰ → ηe ⁺ e ⁻ , D ⁰ → ημ ⁺ μ ⁻	3 × 10 ⁻⁸
D ⁰ → K _S ⁰ e ⁺ e ⁻ , D ⁰ → K _S ⁰ μ ⁺ μ ⁻	3 × 10 ⁻⁸
D ⁺ → π ⁺ e ⁺ e ⁻ , D ⁺ → π ⁺ μ ⁺ μ ⁻	1 × 10 ⁻⁸
D ⁰ → e [±] μ [∓]	1 × 10 ⁻⁸
D ⁺ → π ⁺ e [±] μ [∓]	1 × 10 ⁻⁸
D ⁰ → π ⁰ e [±] μ [∓]	2 × 10 ⁻⁸
D ⁰ → ηe [±] μ [∓]	3 × 10 ⁻⁸
D ⁰ → K _S ⁰ e [±] μ [∓]	3 × 10 ⁻⁸
D ⁺ → π ⁻ e ⁺ e ⁺ , D ⁺ → K ⁻ e ⁺ e ⁺	1 × 10 ⁻⁸
D ⁺ → π ⁻ μ ⁺ μ ⁺ , D ⁺ → K ⁻ μ ⁺ μ ⁺	1 × 10 ⁻⁸
D ⁺ → π ⁻ e [±] μ [∓] , D ⁺ → K ⁻ e [±] μ [∓]	1 × 10 ⁻⁸

Super Flavour Factory

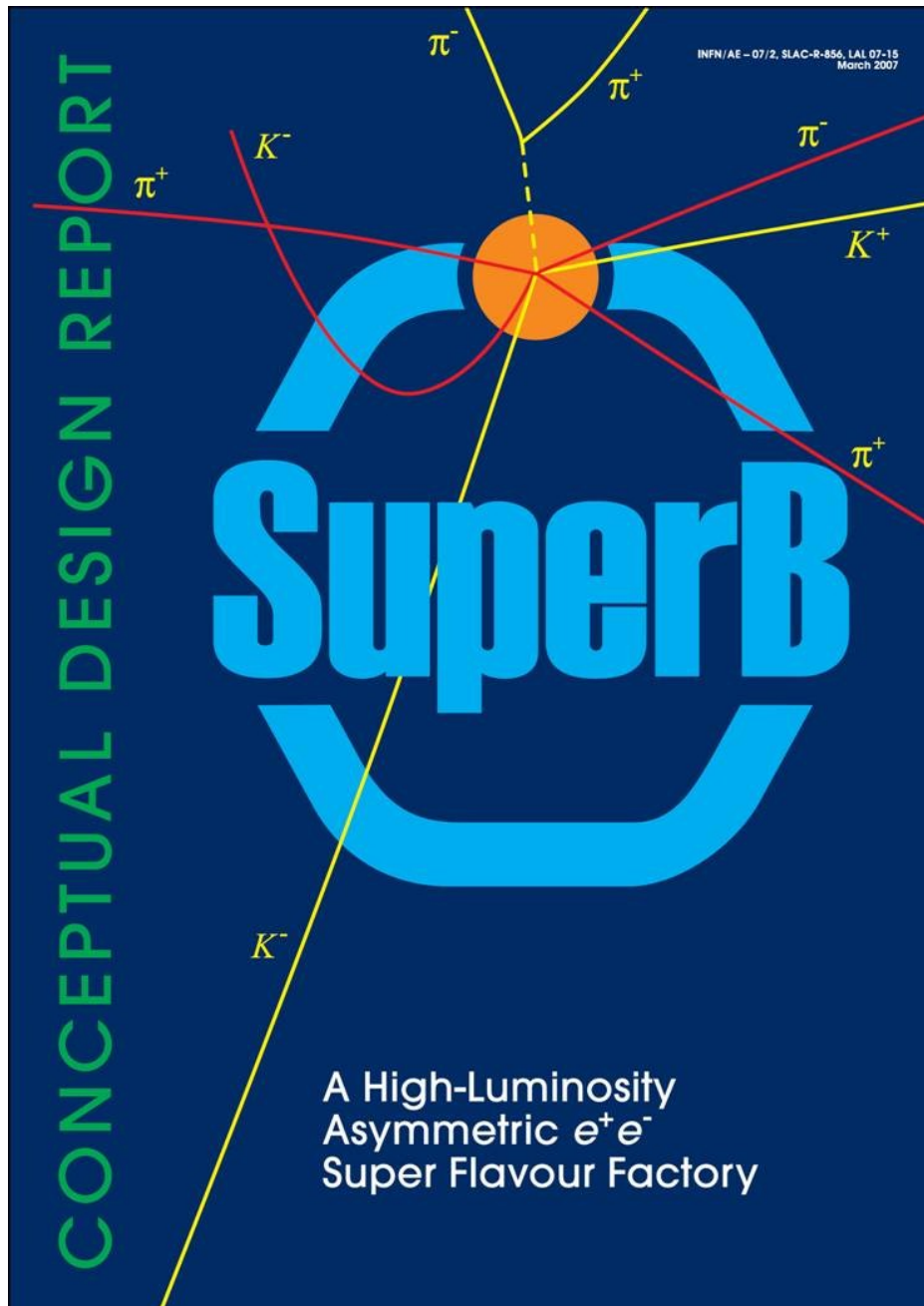
a "treasure chest"



Observable	Error with 1 ab ⁻¹
ΔΓ	0.16 ps ⁻¹
Γ(B _s)	0.07 ps ⁻¹
β _s from angular analysis	20°
A _{SL}	0.006
BR(B _s → μ ⁺ μ ⁻)	0.004
V _{ub} /V _{cb}	-
BR(B _s → γγ)	0.08
BR(B _s → γγ)	38%
β _s from J/ψφ	10°

of new physics-sensitive observables

Bible of SuperB: Conceptual Design Report



The CDR of SuperB is ready!
476 pages (~130 about physics)
INFN/AE-07/02, SLAC-R-856,
LAL 07-15, arXiv:0709.0451

Also available at:

www.pi.infn.it/SuperB

copies can be requested from
Lucia.Lilli@pi.infn.it

next meeting:

SuperB Workshop VII

La Biodola, Isola d'Elba (IT)

May 31st - June 3rd, 2008

www.pi.infn.it/bfactory/SuperB_elba2008

SuperB physics goals

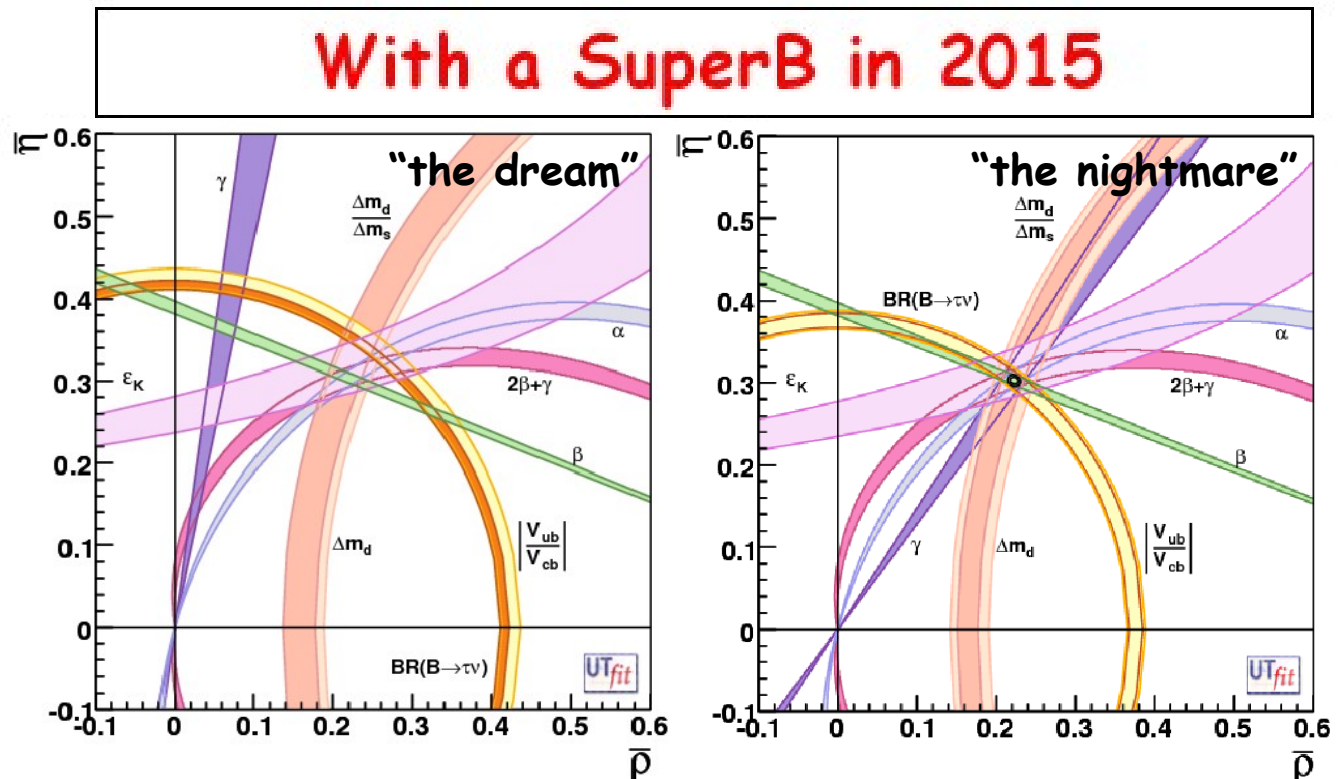
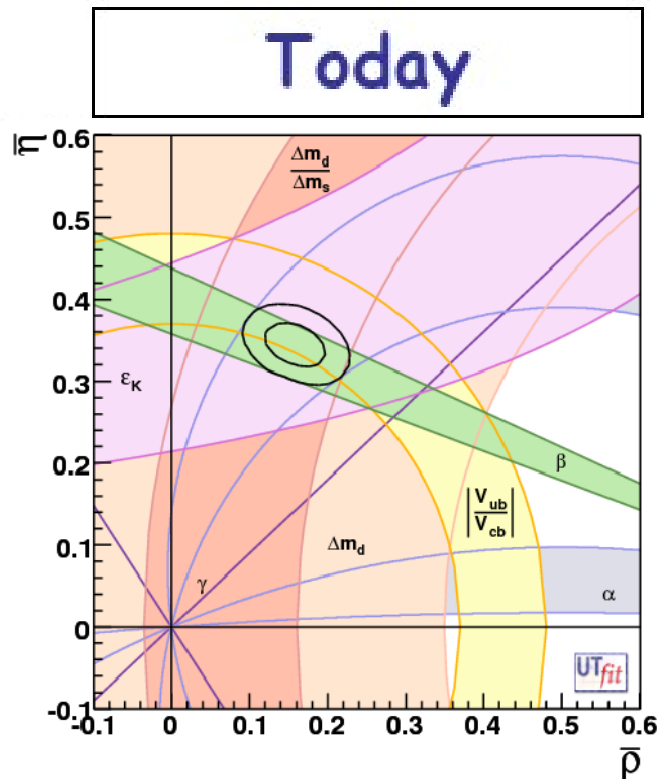
NP found at LHC

- * determine the flavour- and CP-violating couplings the NP Lagrangian
- * look for the effects of heavier states beyond the LHC discovery reach

NP not found at LHC

- * look for indirect NP signals coming from the 1-100 TeV energy range
- * exclude regions of the NP parameter space

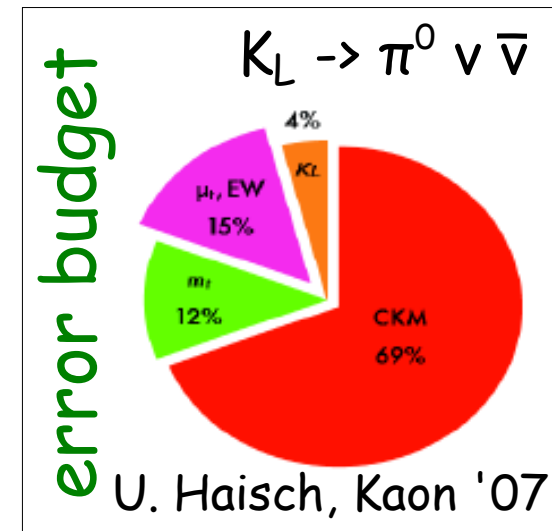
Overture: CKM matrix at 1%



Generalized UT fits:
CKM at 1% in the
presence of NP!

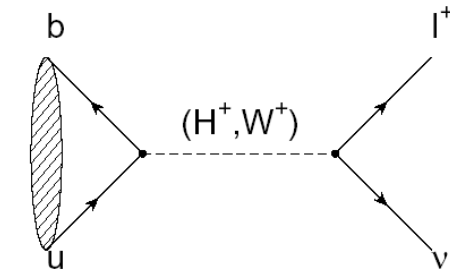
	today	SuperB
$\bar{\rho}$	0.187 ± 0.056	± 0.005
$\bar{\eta}$	0.370 ± 0.036	± 0.005

- crucial for many NP searches with
flavour (not only for B decays!)



Higgs-mediated NP in MFV at large $\tan\beta$

$$\text{BR}(B^+ \rightarrow l^+ \nu) = \text{BR}_{\text{SM}}(B^+ \rightarrow l^+ \nu) \left(1 - \frac{m_B^2}{M_H^2} \tan^2 \beta \right)^2$$



formula and plot for 2HDM
similar results for MSSM

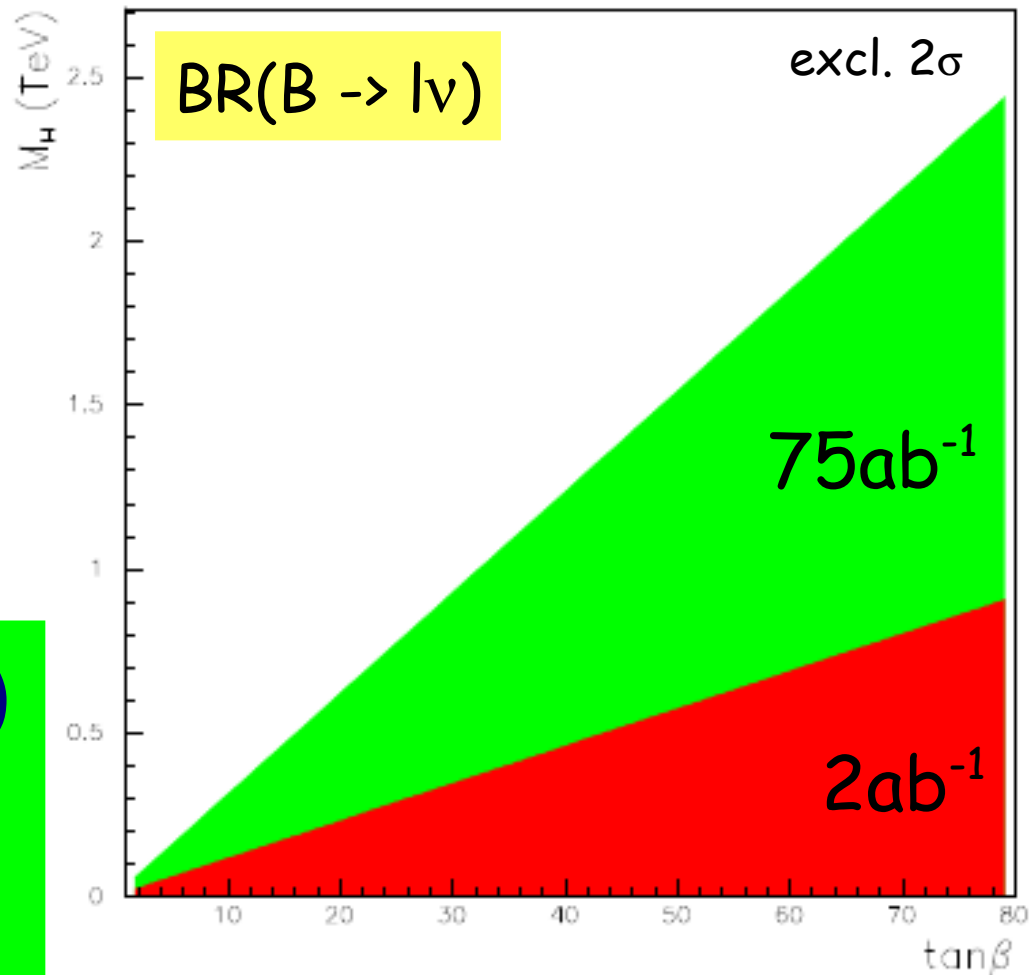
sensitivity:

B factories (2/ab)

$M_H \sim 0.4 \text{ TeV}$
for $\tan\beta \sim 50$

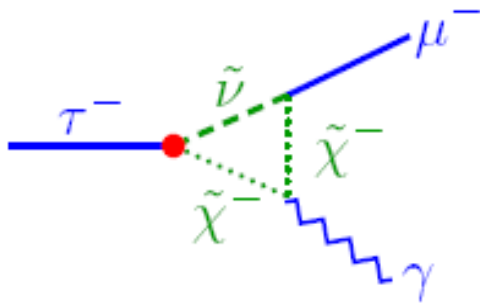
SuperB (75/ab)

$M_H \sim 1.5 \text{ TeV}$
for $\tan\beta \sim 50$



τ flavour violation

Process	Sensitivity
$\mathcal{B}(\tau \rightarrow \mu \gamma)$	2×10^{-9}
$\mathcal{B}(\tau \rightarrow e \gamma)$	2×10^{-9}
$\mathcal{B}(\tau \rightarrow \mu \mu \mu)$	2×10^{-10}
$\mathcal{B}(\tau \rightarrow eee)$	2×10^{-10}
$\mathcal{B}(\tau \rightarrow \mu \eta)$	4×10^{-10}
$\mathcal{B}(\tau \rightarrow e \eta)$	6×10^{-10}
$\mathcal{B}(\tau \rightarrow \ell K_s^0)$	2×10^{-10}



not just yet-another
order of magnitude: start
probing the interesting region

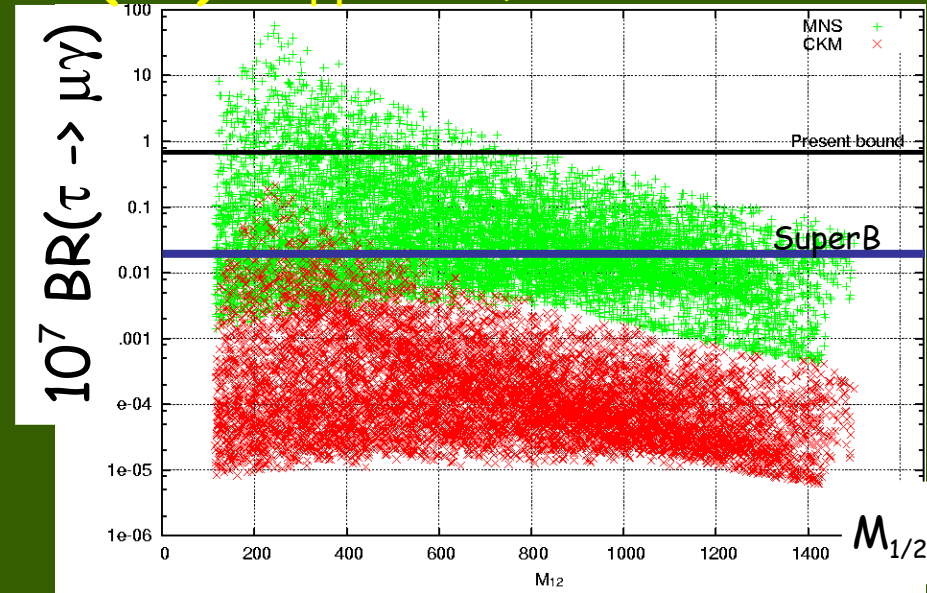
- help disentangle SUSY and LHT models see Hulin's talk

- in Grand-Unified models:

* can identify the origin of LFV
(CKM or PMNS);

* is complementary to the MEG
sensitivity to $BR(\mu \rightarrow e \gamma) \sim 10^{-13}$

SO(10) MSSM Alpponen et al., PRD74



Lepton MFV GUT models

Isidori, 4th SuperB workshop

$$\mathcal{B}(\tau \rightarrow \mu \gamma) : \mathcal{B}(\tau \rightarrow e \gamma) : \mathcal{B}(\mu \rightarrow e \gamma) \sim \lambda^{-6} : \lambda^{-4} : 1 \sim 10^4 : 500 : 1 \quad \leftarrow \text{LFV from CKM}$$

$$\mathcal{B}(\tau \rightarrow \mu \gamma) : \mathcal{B}(\tau \rightarrow e \gamma) : \mathcal{B}(\mu \rightarrow e \gamma) \sim [500-10] : 1 : 1 \quad \leftarrow \text{LFV from PMNS}$$

Explicit model: MSSM

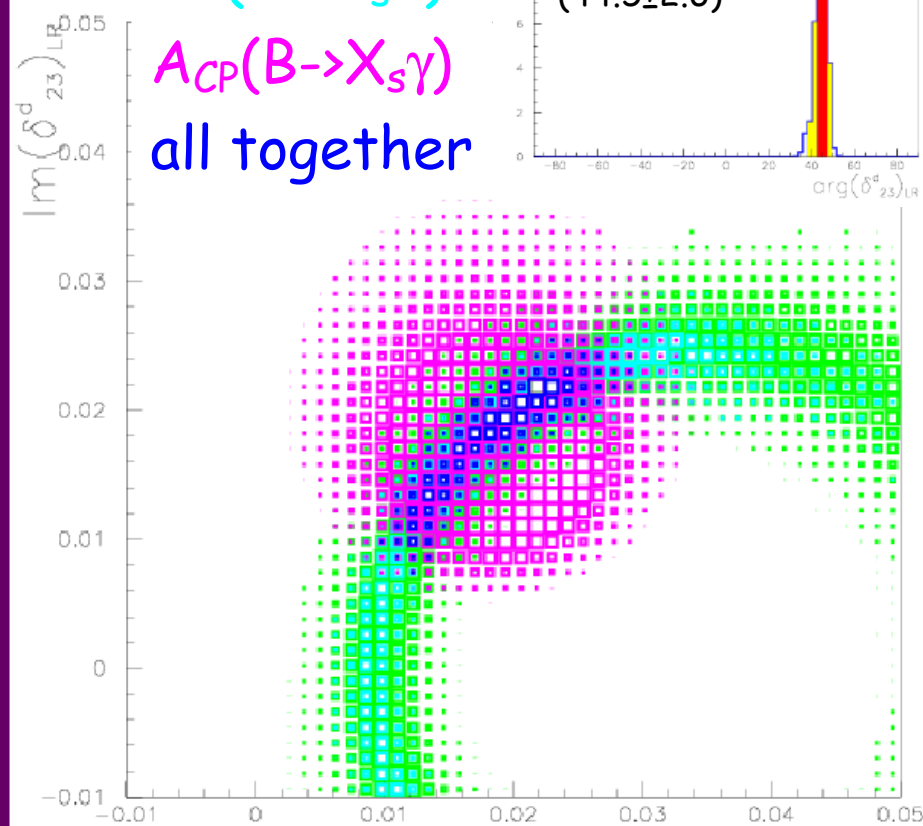
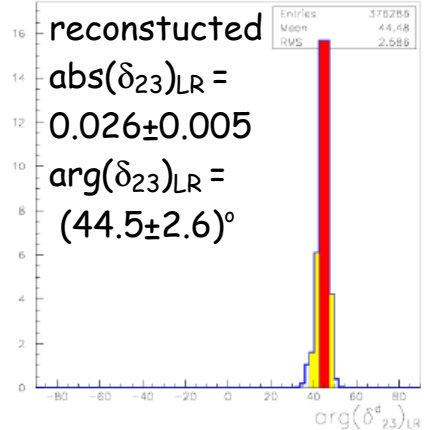
$$M^2_{\tilde{d}} = \begin{pmatrix} m_{\tilde{d}_L}^2 & m_{\tilde{d}_L} m_{\tilde{d}_R} (A_d - \mu \tan \beta) & (\Delta_{12}^d)_{LL} & (\Delta_{12}^d)_{LR} & (\Delta_{13}^d)_{LL} & (\Delta_{13}^d)_{LR} \\ m_{\tilde{d}_L} m_{\tilde{d}_R} (A_d - \mu \tan \beta) & m_{\tilde{d}_R}^2 & (\Delta_{12}^d)_{RL} & (\Delta_{12}^d)_{RR} & (\Delta_{13}^d)_{RL} & (\Delta_{13}^d)_{RR} \\ (\Delta_{12}^d)_{LL} & (\Delta_{12}^d)_{RL} & m_{\tilde{s}_L}^2 & m_{\tilde{s}_L} m_{\tilde{s}_R} (A_s - \mu \tan \beta) & (\Delta_{23}^d)_{LL} & (\Delta_{23}^d)_{LR} \\ (\Delta_{12}^d)_{LR} & (\Delta_{12}^d)_{RR} & m_{\tilde{s}_L} m_{\tilde{s}_R} (A_s - \mu \tan \beta) & m_{\tilde{s}_R}^2 & (\Delta_{23}^d)_{RL} & (\Delta_{23}^d)_{RR} \\ (\Delta_{13}^d)_{LL} & (\Delta_{13}^d)_{RL} & (\Delta_{23}^d)_{LL} & (\Delta_{23}^d)_{LR} & m_{\tilde{b}_L}^2 & m_{\tilde{b}_L} m_{\tilde{b}_R} (A_b - \mu \tan \beta) \\ (\Delta_{13}^d)_{LR} & (\Delta_{13}^d)_{RR} & (\Delta_{23}^d)_{LR} & (\Delta_{23}^d)_{RR} & m_{\tilde{b}_L} m_{\tilde{b}_R} (A_b - \mu \tan \beta) & m_{\tilde{b}_R}^2 \end{pmatrix}$$

SuperB

LHC, ILC - HE frontier

Mass Insertions
 $(\delta^d_{ij})_{AB} = (\Delta^d_{ij})_{AB}/m_{\tilde{q}}^2$

BR(B→X_sγ)
 BR(B→X_sll)
 A_{CP}(B→X_sγ)
 all together

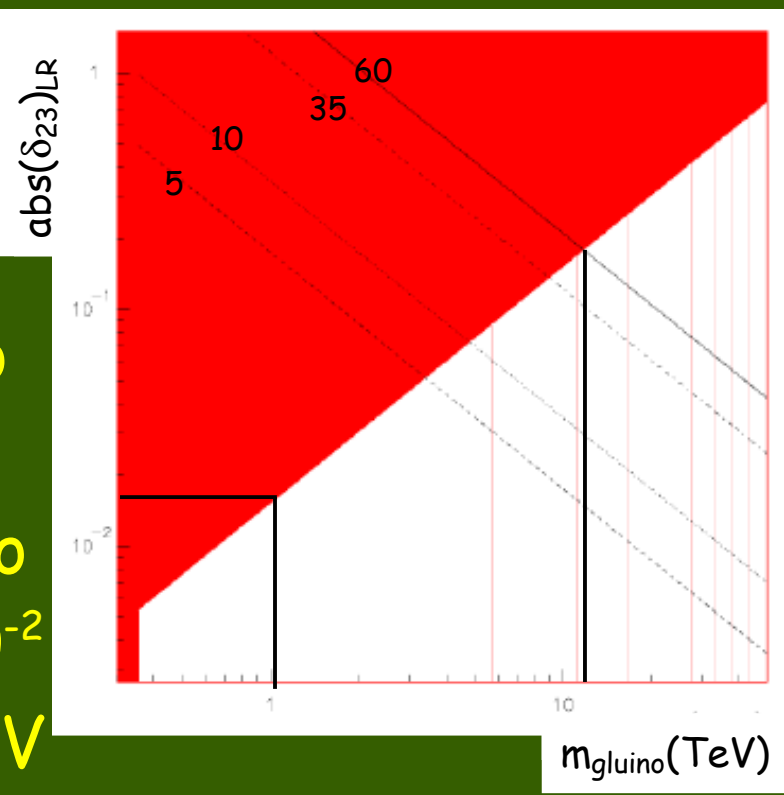


Im(δ^d_{23})_{LR} vs Re(δ^d_{23})_{LR}

Reconstruction of
 $(\delta^d_{23})_{LR} = 0.028 e^{i\pi/4}$ for
 $\Lambda = m_{\tilde{g}} = m_{\tilde{q}} = 1 \text{ TeV}$

3σ from 0 sensitivity plot

i) sensit. to $\Lambda < 20 \text{ TeV}$
 ii) sensit. to $|(\delta^d_{23})_{LR}| > 10^{-2}$ for $\Lambda < 1 \text{ TeV}$



Theory keeps up...

- lattice QCD can reach the $O(1\%)$ precision goal in time
- some progress for inclusive techniques for SL B decays
- non-leptonic B decays more problematic



Measurement	Hadronic Parameter	Present Error	6 TFlops	60 TFlops	1-10 PFlops (Year 2015)
$K \rightarrow \pi l \nu$	$f_+^{K\pi}(0)$	0.9 %	0.7 %	0.4 %	< 0.1 %
ε_K	\hat{B}_K	11 %	5 %	3 %	1 %
$B \rightarrow l \nu$	f_B	14 %	3.5-4.5 %	2.5-4.0 %	1.0-1.5 %
Δm_d	$f_{B_s} \sqrt{B_{B_s}}$	13 %	4-5 %	3-4 %	1-1.5 %
$\Delta m_d / \Delta m_s$	ξ	5 %	3 %	1.5-2 %	0.5-0.8 %
$B \rightarrow D / D^* l \nu$	$\mathcal{F}_{B \rightarrow D / D^*}$	4 %	2 %	1.2 %	0.5 %
$B \rightarrow \pi / \rho l \nu$	$f_+^{B\pi}, \dots$	11 %	5.5-6.5 %	4-5 %	2-3 %
$B \rightarrow K^* / \rho (\gamma, l^+ l^-)$	$T_1^{B \rightarrow K^* / \rho}$	13 %	---	---	3-4 %

V. Lubicz,
4th SuperB
Workshop
and
SuperB
CDR

Conclusions (ii)

Only part of the SuperB physics program relies on theory upgrades. For this part, theoretical errors of $O(1-2\%)$ are needed: feasible for LQCD; challenging but possibly reachable in inclusive measurements; factorization needs checking on channel basis

SuperB and S-LHCb physics programs are largely complementary. As for the part in common, they are competitive but SuperB can measure more and th. cleaner channels

An issue to debate: 10^{36} vs 10^{35}

we plan to complete the exercise for B physics during this week. Yet $O(1)$ differences on accessible scales and couplings can be anticipated

although any such difference could be crucial, they are likely not very impressive to present and difficult to defend, given the intrinsic uncertainty of the EFT approach which was heavily used

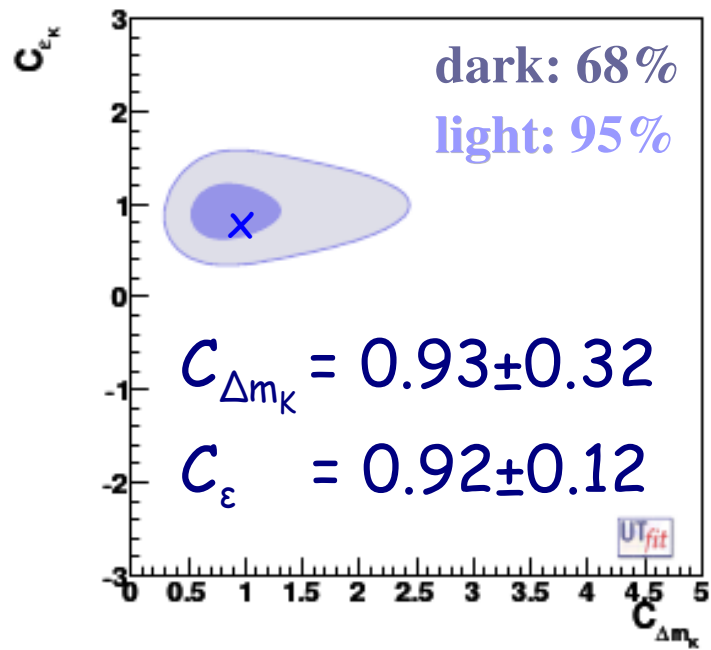
we should look for qualitative differences in the physics that can be done with 75/ab vs the physics possible with say 10-15/ab

This means that we have to look at qualifying points which are difficult to achieve even at 10^{36} !

A couple comes to my mind:

- i) the "full LHC" label, i.e. the possibility to measure flavour effects in the whole LHC discovery energy range, fully playing the complementarity game with high- p_T searches
- ii) the possibility of measuring theoretically interesting values of LFV BRs and of being complementary with the MEG measurement

These goals are not attainable with 10^{35} but we have to clearly show that they are at SuperB



Minimal Flavour Violation (i)

$$\mathcal{L}_{\text{SM}} = \mathcal{L}_{\text{gauge}} + \mathcal{L}_{\text{Higgs}} + \mathcal{L}_{\text{Yukawa}}$$

$\mathcal{L}_{\text{gauge}} + \mathcal{L}_{\text{Higgs}}$ invariant under the global symmetry

$$U(3)^5 = SU(3)_{Q_L} \times SU(3)_{U_R} \times SU(3)_{D_R} \times \dots$$

$\mathcal{L}_{\text{Yukawa}} = \bar{Q}_L Y_U U_R \tilde{\varphi} + \bar{Q}_L Y_D D_R \varphi + \dots$ is formally invariant if $Y_U = (3, \bar{3}, 1)$ and $Y_D = (3, 1, \bar{3})$ (spurions)

MFV hypothesis: NP operators (built out of the SM and spurion fields) must be invariant under the global symmetry

D'Ambrosio et al., NPB645 (2002)

Minimal Flavour Violation (ii)

Chivukula, Giorgi, PLB188(1987)

Hall, Randall, PRL65 (1990)

Gabrielli, Giudice, NPB433 (1995)

Gabrielli, MC, Giudice, PLB388 (1998)

Buras et al., NPB500 (2001)

No new sources of flavour and CP violation beyond the SM

- NP contributions governed by SM Yukawa couplings
ex.: small- $\tan\beta$ CMSSM and mSUGRA, Universal χ Dim, LHM
- NP only modifies SM top contribution to FCNC & CPV
unless other Yukawa couplings are enhanced; for example
large $\tan\beta$ in 2HDM enhances bottom contributions

1HDM/2HDM at small $\tan\beta$

same operators as in $H_{\text{eff}}^{\text{SM}}$

NP in K and B correlated

2HDM at large $\tan\beta$

new operators wrt $H_{\text{eff}}^{\text{SM}}$

NP in K and B uncorrelated