

# OINDRILA GHOSH

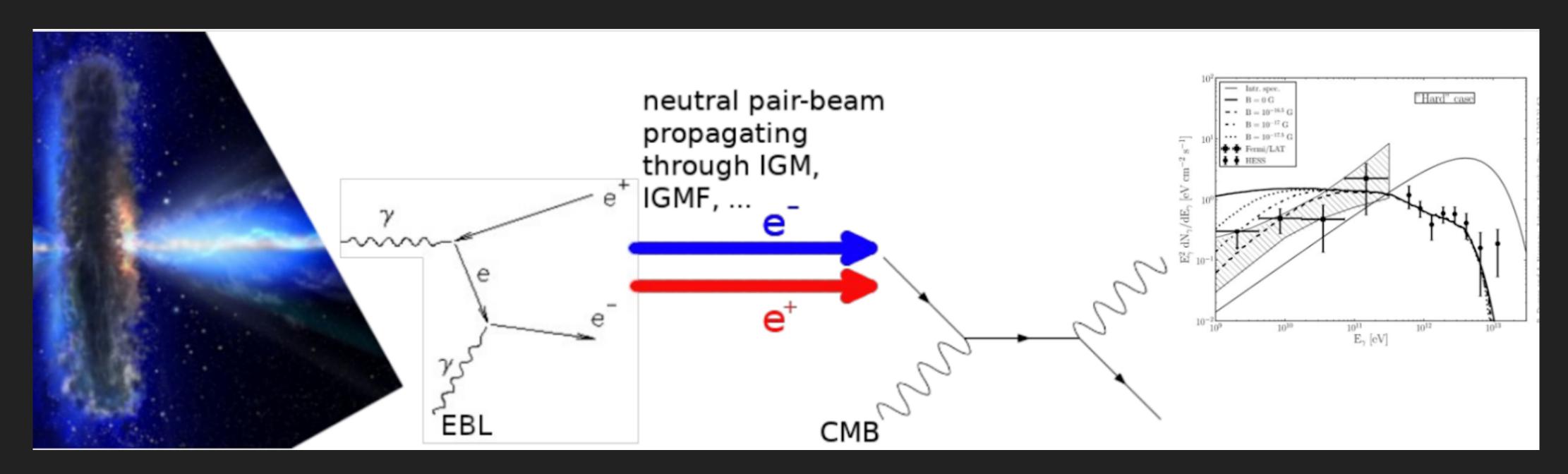
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# FROM BLACK HOLES INTO THE VOIDS: WHAT TEV ASTROPHYSICS TELLS US ABOUT ALPS

18TH PATRAS WORKSHOP | July 3, 2023

## BLAZARS: A QUICK OVERVIEW

- Active galactic nuclei ejecting ultrarelativistic jets onto large cosmological distances
- ▶ Characterised by hard power-law spectra extending up to TeV energies, e.g., BL Lacs that peak at high energies



- TeV emissions from blazars should be reprocessed into the GeV band through inverse-Compton cooling
- Expected GeV cascade emission suppressed in the 100 GeV-1 TeV band
- Tension seems to be a universal trend in blazars observed with γ-ray telescopes

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Collective plasma effects: instability growth, energy loss, beam and plasma heating, nonlinear damping and saturation

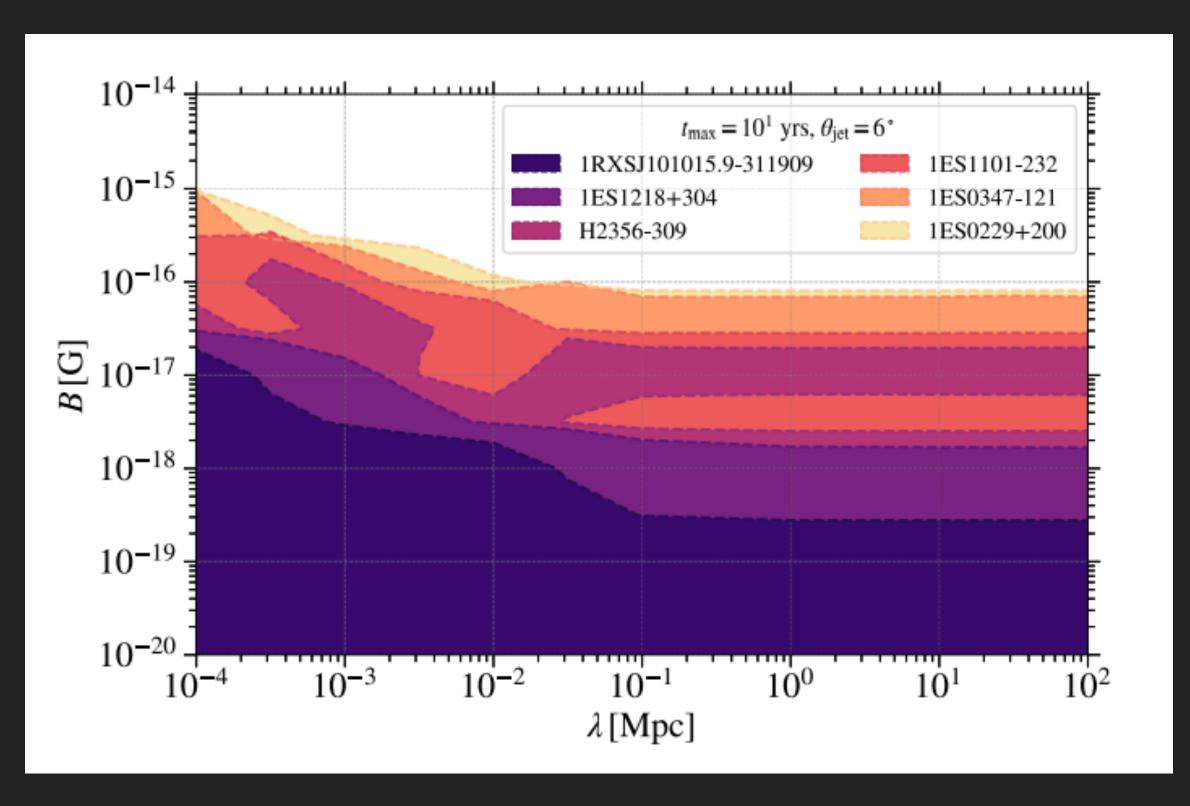
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- Pair deflections off the intergalactic magnetic field (IGMF): isotropization or creation of pair halo

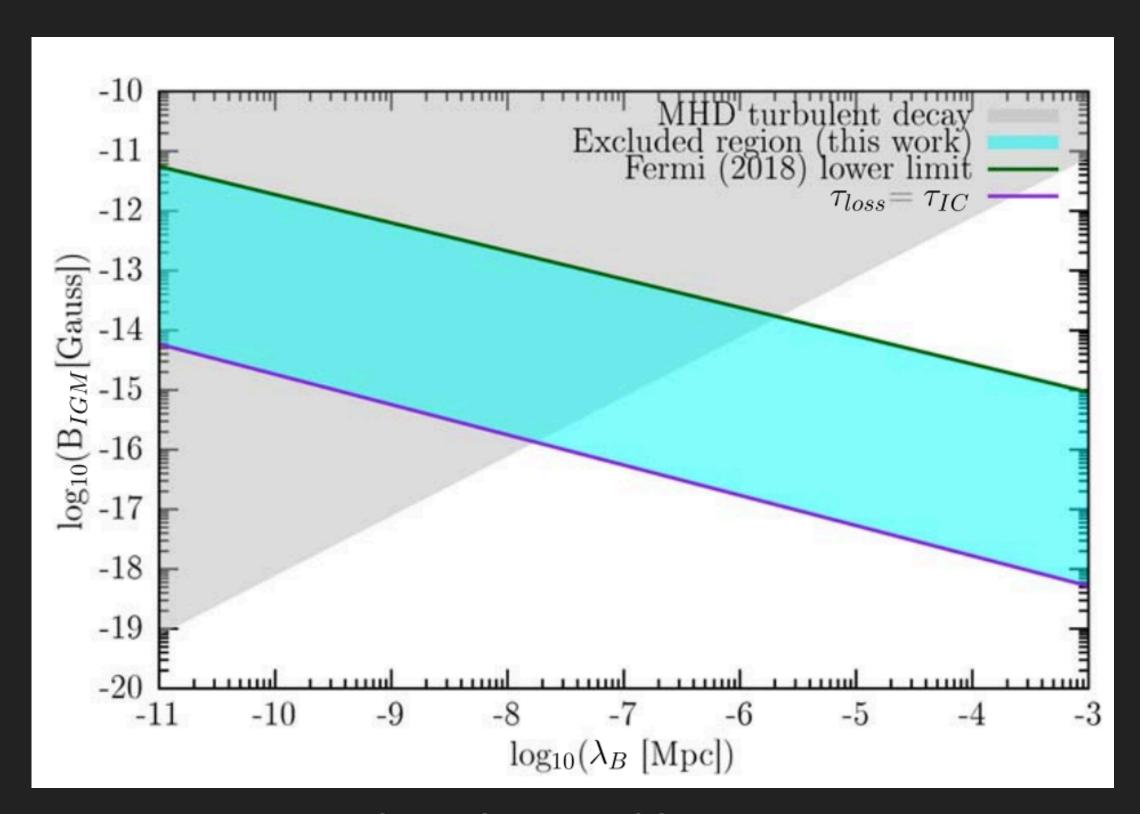
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- Collective plasma effects: instability growth, energy loss, beam and plasma heating, nonlinear damping and saturation
- Pair deflections off the intergalactic magnetic field (IGMF): isotropization or creation of pair halo
- If weak and tangled, IGMF induces magnetic diffusion and beam broadening breaking down smallangle approximation

## MISSING CASCADE AS A PROBE OF IGMF



Fermi-LAT (2018)

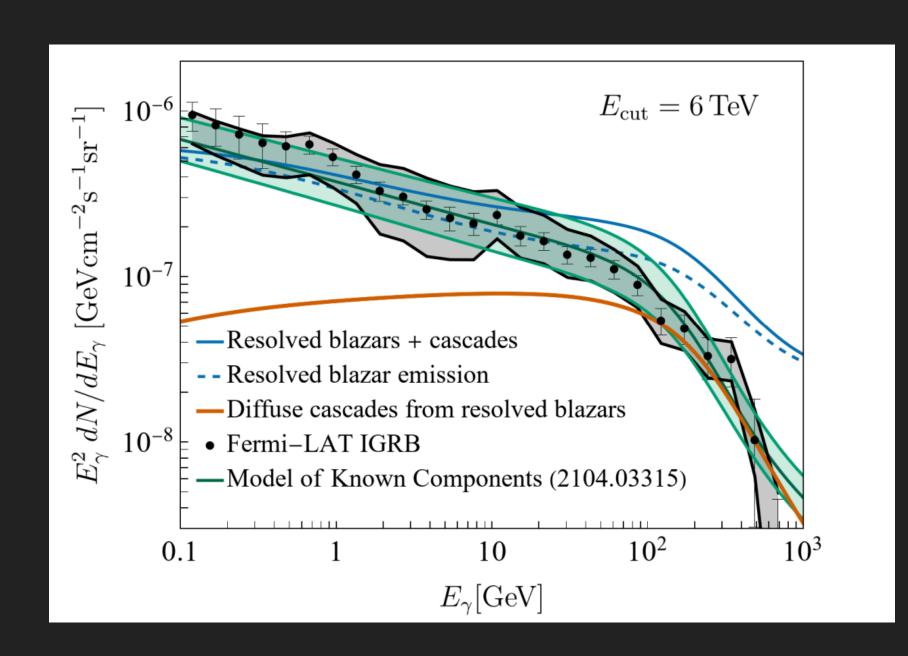


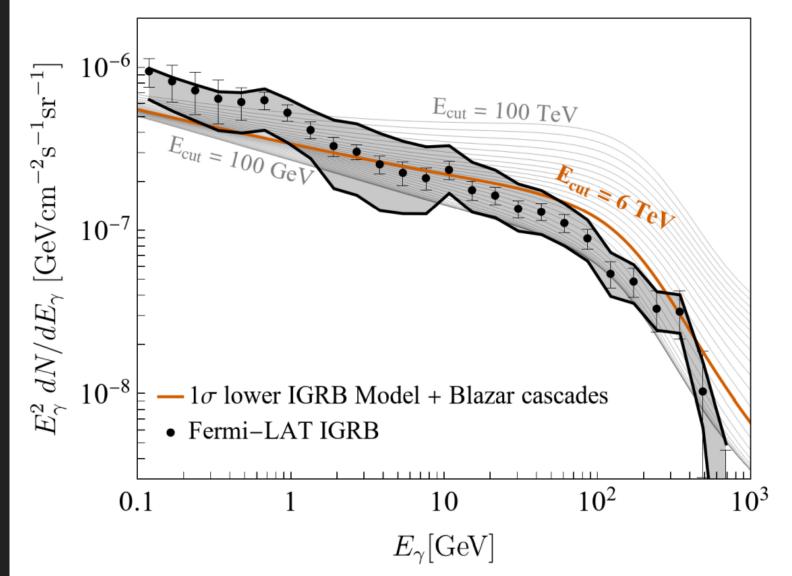
Alawashra & Pohl (2022)

#### AN EMERGING TENSION IN THE GAMMA-RAY SKY?

- Sharp spectral cutoffs at  $\mathcal{O}(\text{TeV})$  energies are not observed for local blazars
- Isotropic  $\gamma$ -ray background (IGRB) measurements + non-observation of pair halos together imply IGMF is too feeble to prevent bright  $\gamma$ -ray cascade emission through ICS
- IGRB is dominated by contributions from known sources mAGN, SFG etc.
- Diffuse blazar cascade emission <10%, in strong tension with blazar models!

## IGRB MEASUREMENTS POINT TOWARDS BEAM-PLASMA INSTABILITIES



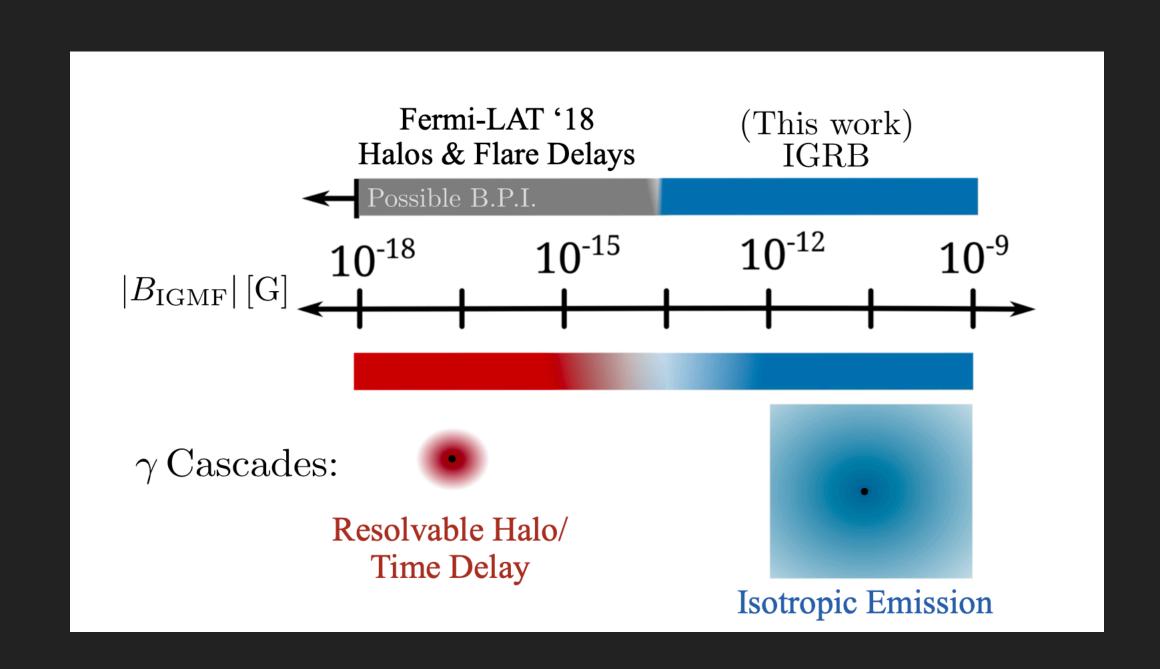


If intrinsic cutoff  $E_{\rm cut}\gtrsim 5$  TeV, the isotropic cascades + known components exceed the measured IGRB

Blanco, **OG**, Jacobsen, Linden (2023) <u>arXiv: 2303.01524</u>

#### COMPETING EFFECTS OF INSTABILITY GROWTH AND IGMF STRENGTH

- For more realistic beam distributions participating in cascade (e.g., Maxwell-Jüttner), IGMF stronger than  $10^{-14}$  G required to suppress plasma instabilities
- This introduces a sliding scale in critical IGMF strength  $(\lambda_B \sim 1 \text{ kpc})$  in order to suppress the instabilities



Blanco, **OG**, Jacobsen, Linden (2023) <u>arXiv: 2303.01524</u>

#### COLLECTIVE PLASMA EFFECTS: GROWTH OF UNSTABLE MODES

- Instabilities occur when the Langmuir waves undergo Cherenkov resonance  $\omega = \vec{k} \cdot \vec{v}$
- Such excitations in the beam transfer energy through the resonant window
- Spectral energy density in the background of intergalactic medium (IGM) grows as  $W(k) = W_0 \int_0^\tau e^{2 \operatorname{Im}(\tilde{\omega})} t dt$  through instability losses of the beam
- Dynamics and evolution of the beam-plasma interaction is set by characteristic length scales related to the background plasma frequency  $\omega_p = \sqrt{4\pi n_p e^2/m_e}$

#### PLASMA INSTABILITIES

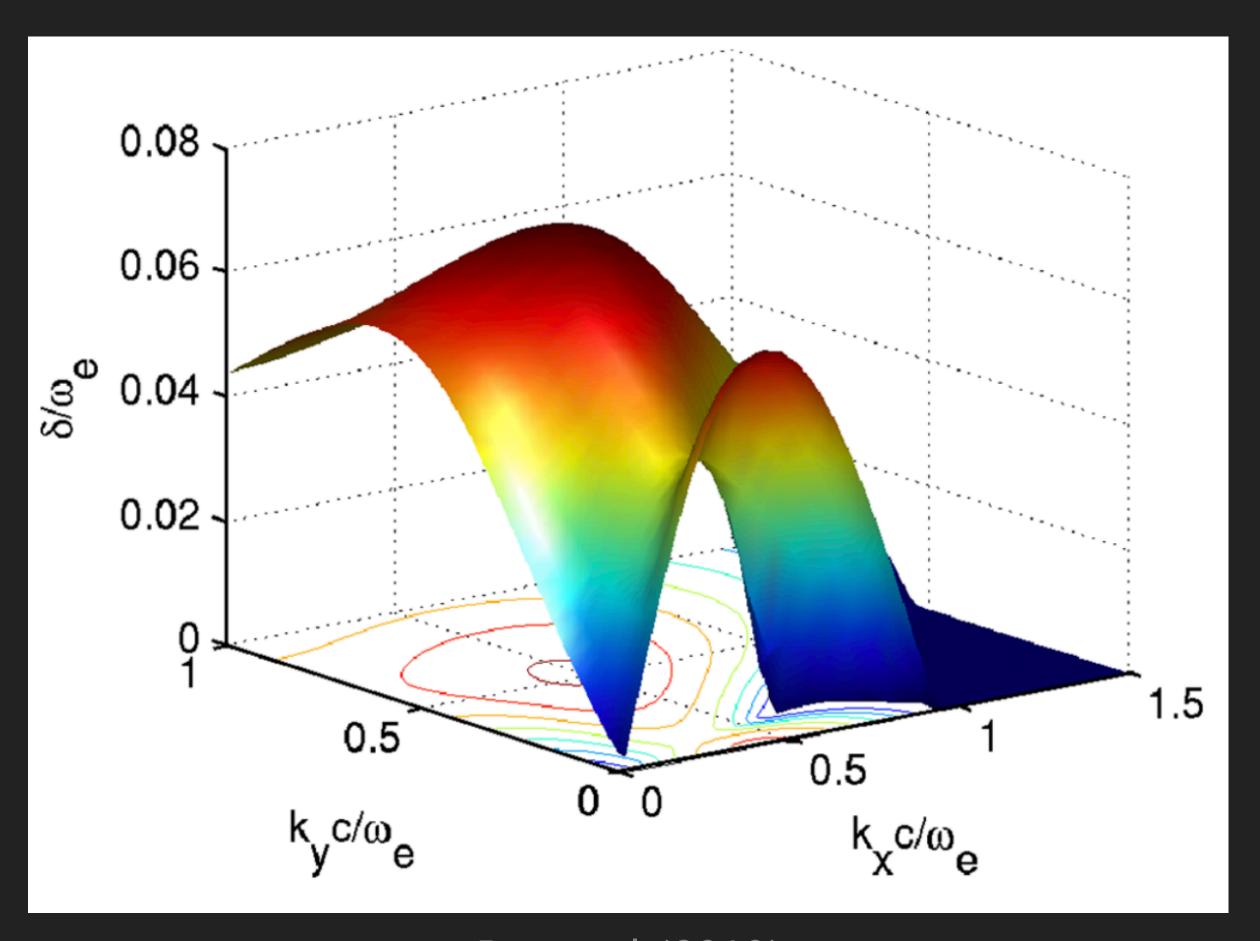
• In electrostatic approximation ( $\overrightarrow{B}=0$ ) as

$$\Lambda(\mathbf{k}, \omega) = 1 - \frac{\omega_p^2}{\omega^2} - \sum_b \frac{4\pi n_b e^2}{k^2} \int d^3p \frac{\mathbf{k} \frac{\partial f_b(\mathbf{p})}{\partial \mathbf{p}}}{\mathbf{k} \mathbf{v} - \omega} = 0$$

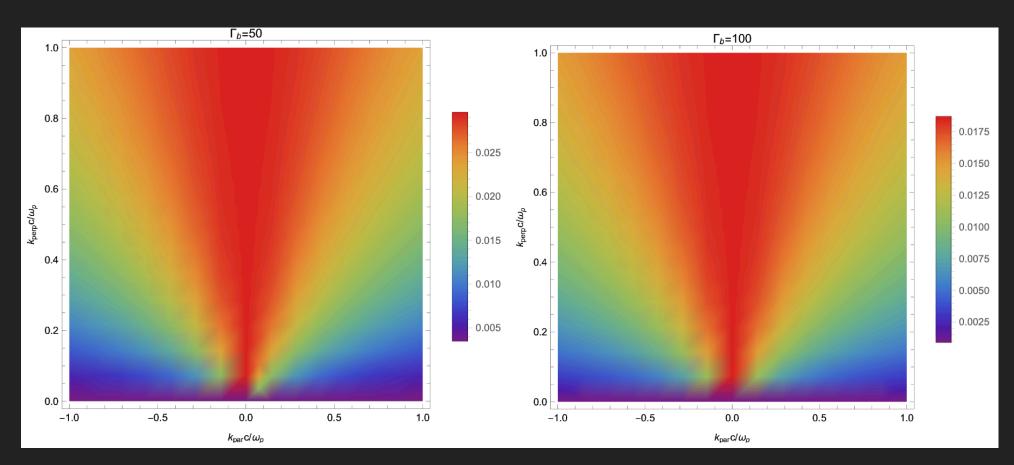
Growth rate of unstable modes

$$\operatorname{Im}(\tilde{\omega}) = \omega_p \frac{2\pi e^2}{k^2} \int \mathbf{k} \cdot \frac{\partial f(\mathbf{p})}{\partial \mathbf{p}} \delta\left(\omega_p - \mathbf{k} \cdot \mathbf{v}\right) d^3 p$$

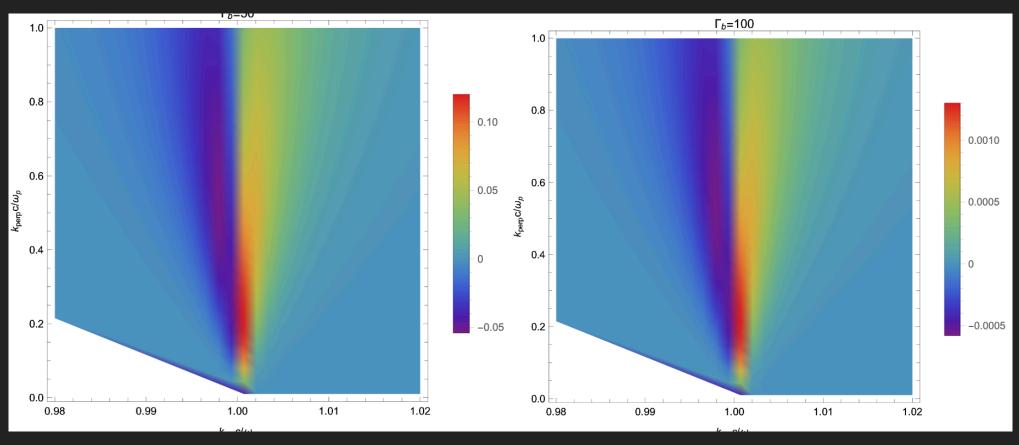
- Key parameters: beam Lorentz factor  $\gamma_b$ , beam temperature  $k_BT_b/m_ec^2$ , and density contrast  $\alpha=n_b/n_p$
- Instability modes: two-stream  $\hat{k}\cdot\hat{v}=1$ , filamentation  $\hat{k}\cdot\hat{v}=0$ , and oblique  $\hat{k}\cdot\hat{v}=\cos\theta_0$



#### LINEAR THEORY



Reactive growth map  $(\alpha = n_b/n_e = 10^{-3})$ 

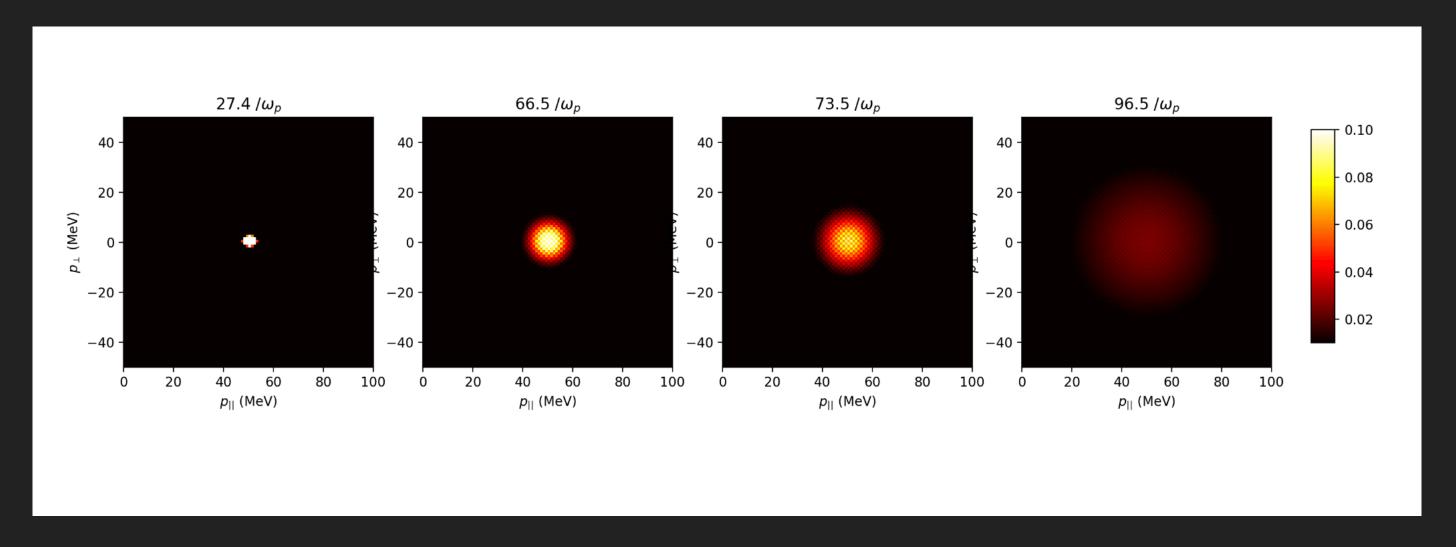


Kinetic growth map ( $\alpha = n_b/n_e = 10^{-3}$ )

• For monochromatic beams,  $|\mathbf{k} \cdot \Delta \mathbf{v}| < \text{Im}(\tilde{\omega})$ 

For beams with transverse momentum width, growth occurs in the so-called kinetic regime

#### M RELAXATION AND SELF-HEATING

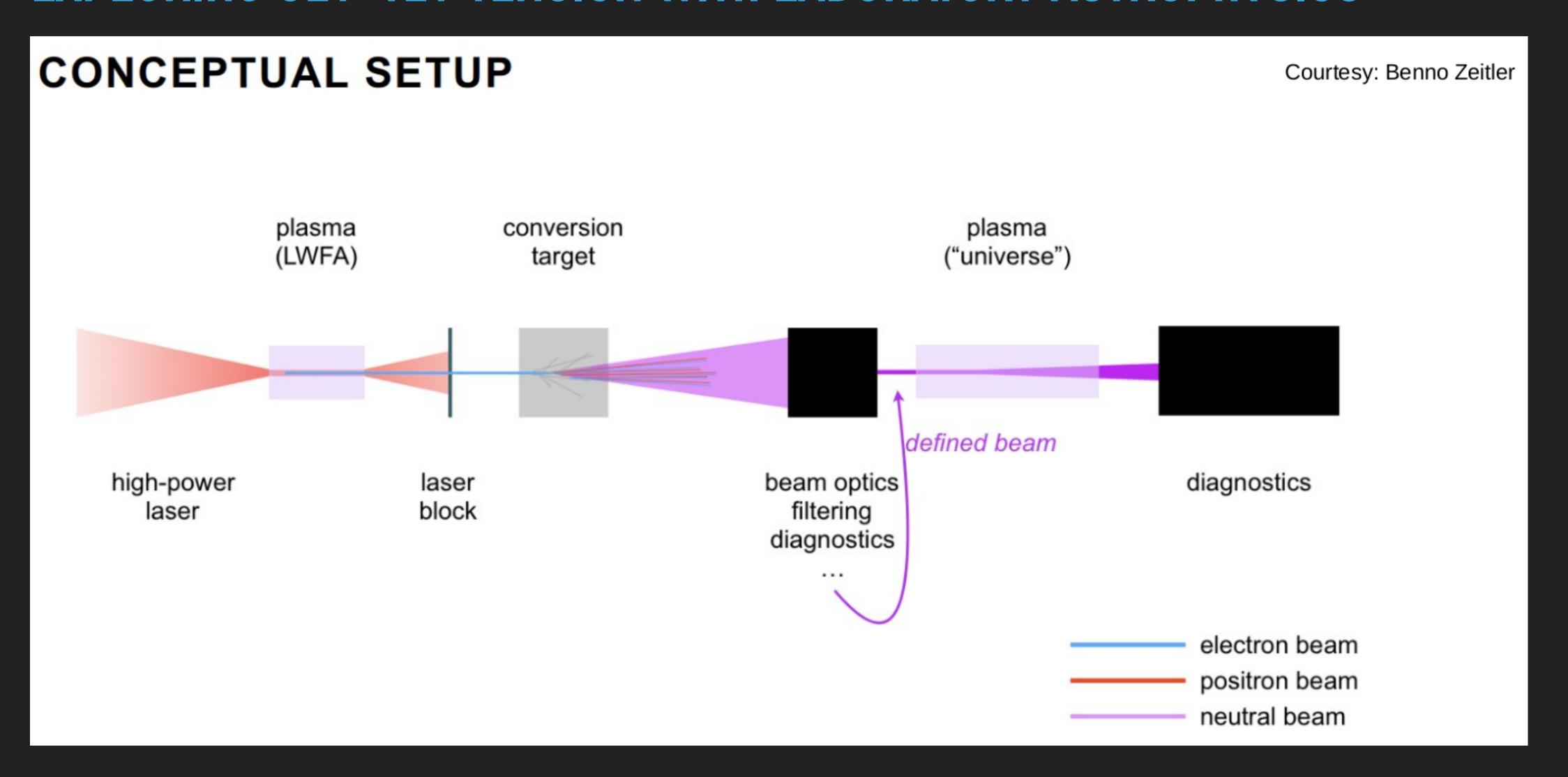


Evolution of beam-plasma system is diffusive-dissipative described best with a Fokker-Planck equation

$$\frac{\partial}{\partial t} f(\mathbf{p}, t) = -\frac{\partial}{\partial \mathbf{p}} [v(\mathbf{p}, t) f(\mathbf{p}, t)] + \frac{\partial}{\partial \mathbf{p}} \left[ D(\mathbf{p}, k, t) \frac{\partial}{\partial \mathbf{p}} f(\mathbf{p}, t) \right]$$

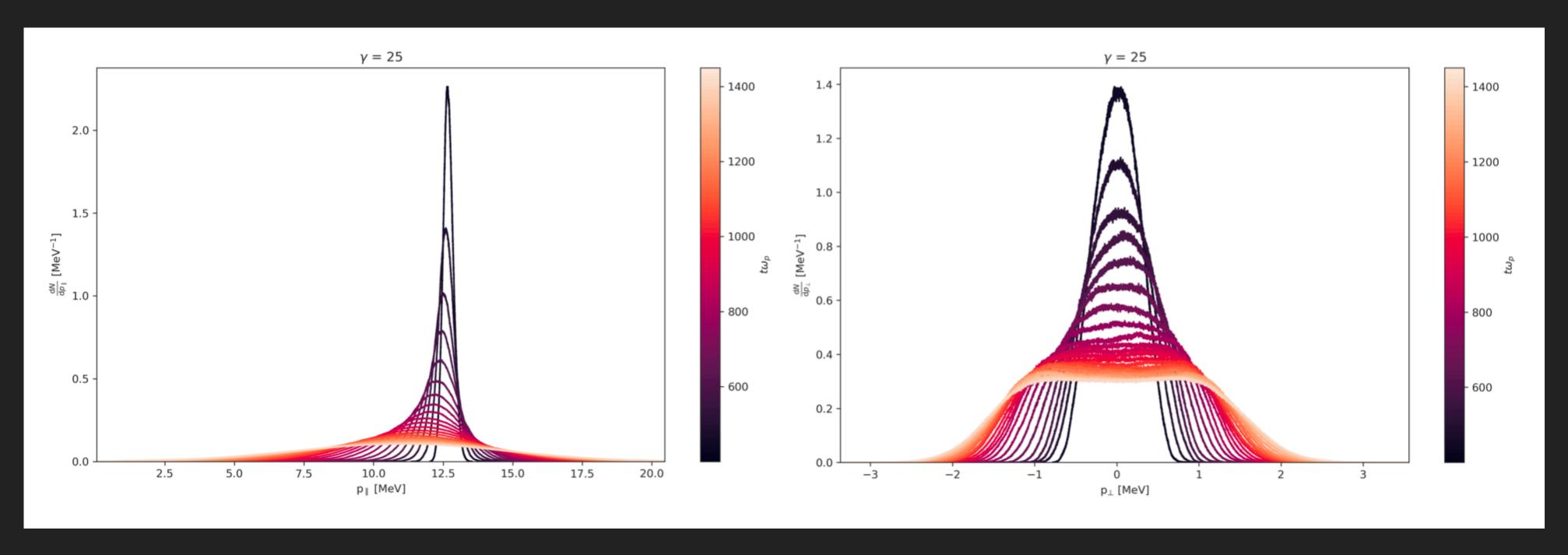
Consistent with results from particle-in-cell simulations for a laboratory astrophysics experiment

## EXPLORING GEV-TEV TENSION WITH LABORATORY ASTROPHYSICS



#### INSTABILITY LOSSES AND BEAM RELAXATION

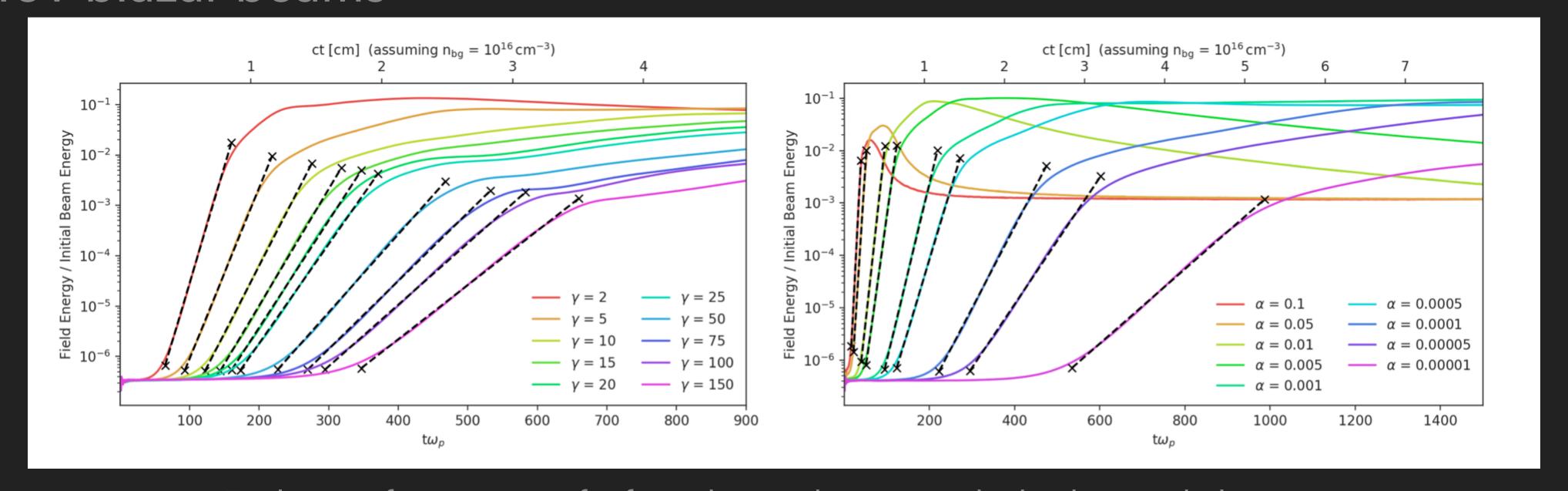
In absence of magnetic field, we observe broadening in the energy width of the beam both in the parallel and transverse direction



PIC evolution of a pair beam distribution for a laboratory beam-plasma system

## LESSONS FROM LABORATORY ASTROPHYSICS & PIC SIMULATION

The extent of energy loss of pair beams is sensitive to  $\gamma_b(\sim 10^6)$ ,  $\alpha(\sim 10^{-15})$  for TeV blazar beams



Evolution of energy transfer from the pair beam into the background plasma

Beck, **OG**, Grüner, Pohl, Schroeder, Sigl, Stark, Zeitler (2023) arXiv: 2306.16839

#### ENERGY LOSS AND IGM HEATING

Energy loss due to instabilities depend on growth rate

$$W(k) = W_0 \int_0^{\tau} \exp[2 \operatorname{Im}(\tilde{\omega}) dt]$$

- Characteristic instability timescale  $\tau \sim 1/\mathrm{Im}(\tilde{\omega})$
- Initial spectral energy density  $W_0$  is determined by thermal fluctuations in the IGM plasma,  $\sim \mathcal{O}({\rm keV})$
- Maximum energy loss occurs for the oblique growth for near-monochromatic injection  ${\rm Im}(\tilde{\omega}) \propto (\frac{\alpha}{\gamma_b})^{1/3}$

Parameterization of instability losses w.r.t. ICS

#### Parameterization of instability losses w.r.t. ICS

Contribution of plasma instabilities

$$f(F_E, E, z) = 1 - f_{IC} = \frac{\Gamma_{plasma}}{\Gamma_{IC} + \Gamma_{plasma}}$$

ICS rate

$$\Gamma_{\rm IC} = \frac{4\sigma_{\rm T} u_{\rm CMB}}{3m_e c} \gamma_b \simeq 1.4 \times 10^{-20} (1+z)^4 \gamma_b {\rm s}^{-1}$$

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Properties of the gamma-ray emission

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#### Properties of the gamma-ray emission

- $\qquad \qquad \text{VHEGR flux } F_E = EdN/dE \propto E^{1-\beta}$
- Redshift dependence of the mean free path is characterised by star formation history (through EBL)

$$D_{\rm pp}(E,z) = 35 \left(\frac{E}{1\text{TeV}}\right)^{-1} \left(\frac{1+z}{2}\right)^{-\zeta} \text{Mpc}$$

IGM heating due to a single blazar

$$\dot{q} = \int dE \frac{\Theta(E)}{D_{pp}(E,z)} f(F_E, E, z) F_E$$

▶ IGM heating due to a single blazar

$$\dot{q} = \int dE \frac{\Theta(E)}{D_{pp}(E,z)} f(F_E, E, z) F_E$$

Average heating due to a

population of blazars 
$$\dot{Q} = \int dV d\log_{10} L d\alpha' d\Omega \tilde{\phi}_B(z; L, \alpha', \Omega) \frac{\Omega}{2\pi} \dot{q}$$

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Incorporating other heating mechanisms

$$\dot{Q}_{\text{canon}} = \dot{Q}_{\text{H-I,photo}} + \dot{Q}_{\text{He-I,photo}} + \dot{Q}_{\text{He-II,photo}} + \dot{Q}_{\text{H-II,rec}} + \dot{Q}_{\text{He-III,rec}} + \dot{Q}_{\text{Compton}} + \dot{Q}_{\text{free-free}}$$

Total uniform volumetric heating rate  $\dot{Q}=\dot{Q}_{\rm canon}+\dot{Q}_{\rm B}$ 

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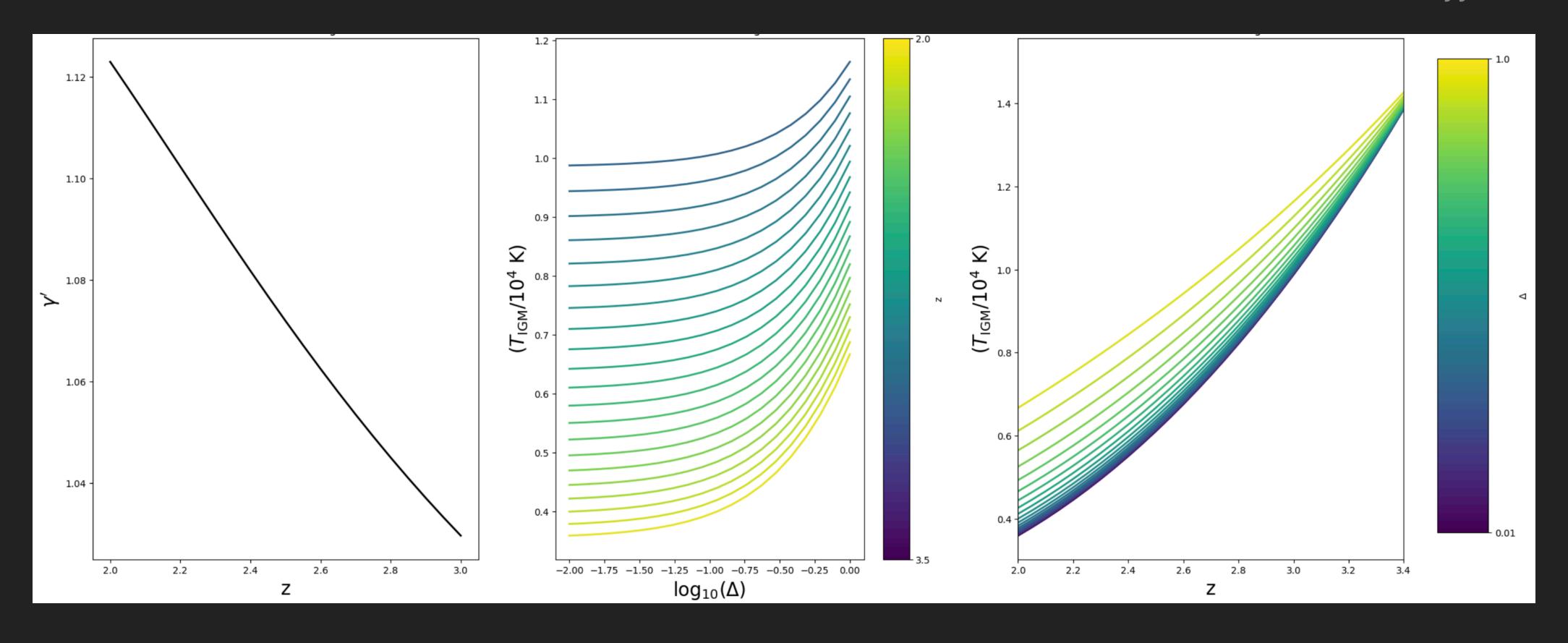
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Total uniform volumetric heating rate  $\dot{Q} = \dot{Q}_{\rm canon} + \dot{Q}_{\rm B}$ 

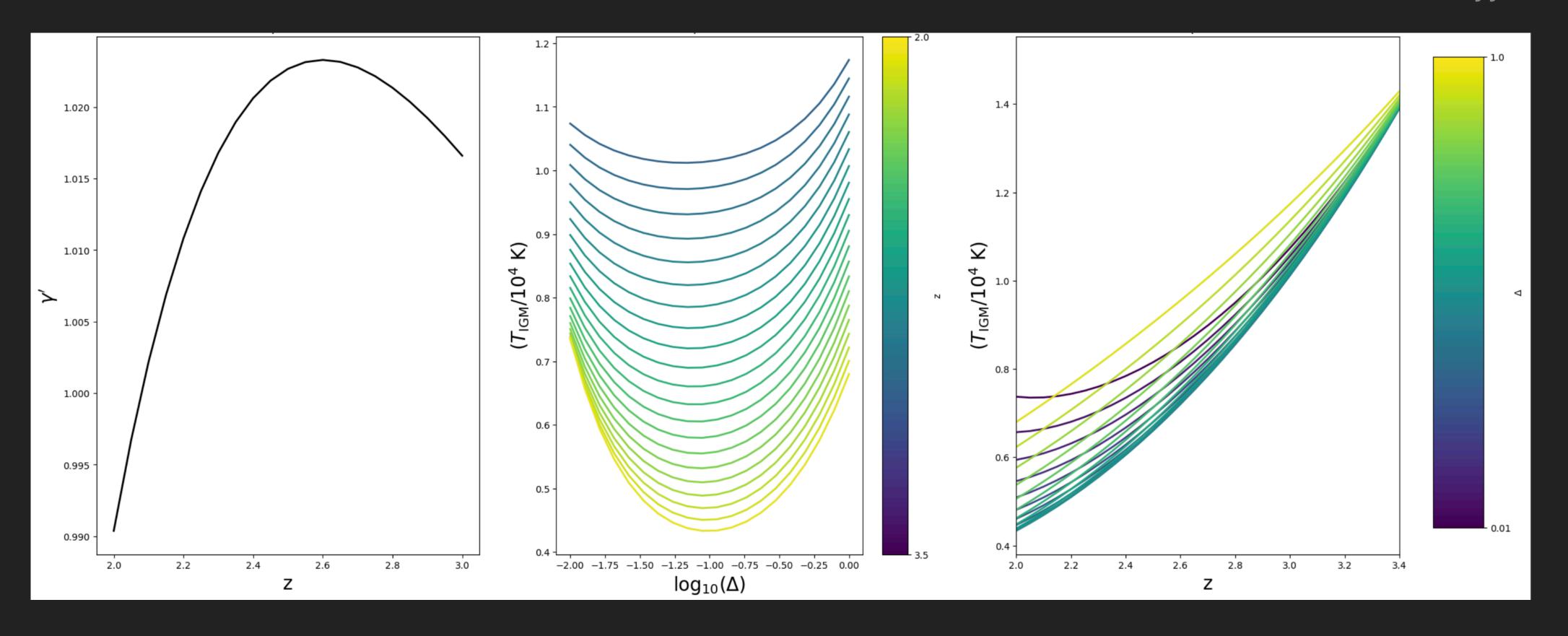
Casting temperature-density-redshift relation during 2 < z < 3.5 as  $T = T_0 \Delta^{\gamma(z)'-1}$ 

**OG** & Bhattacharyya (in preparation)



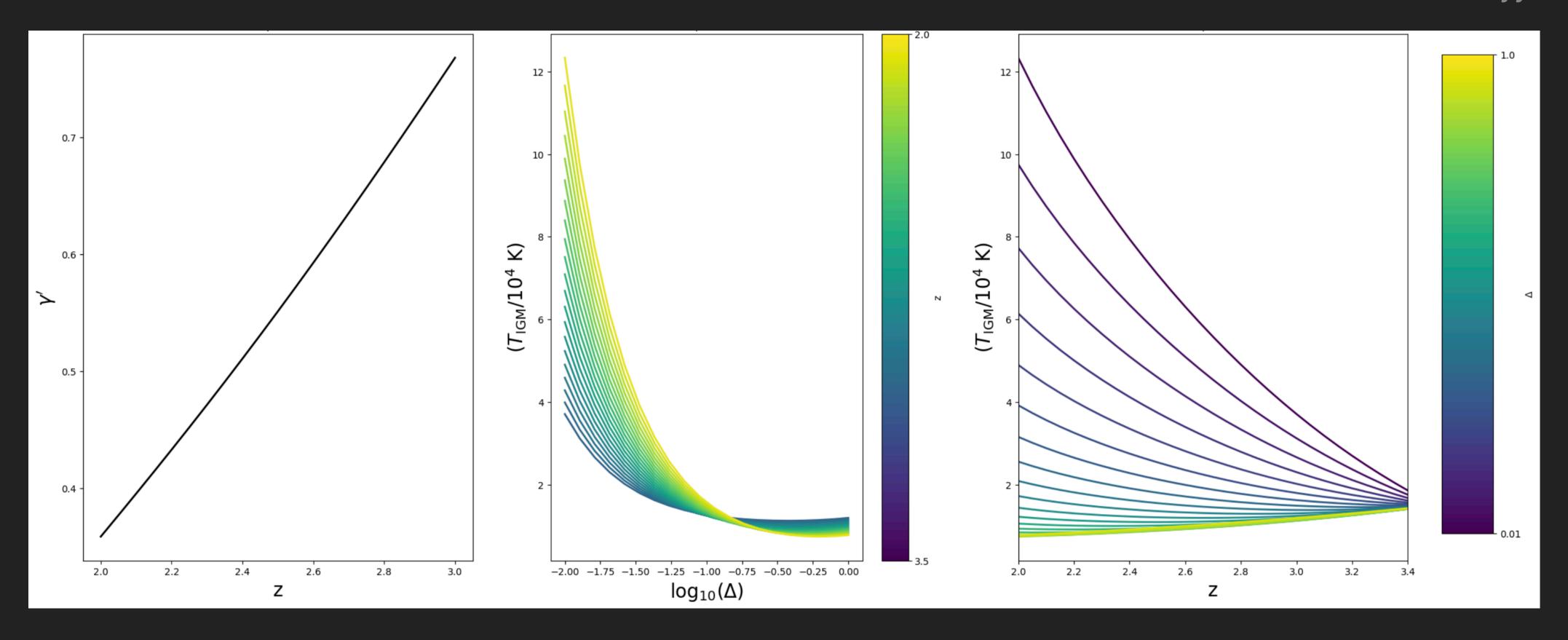
Redshift evolution of index, temperature-density and temperature-redshift relation without blazar heating

OG & Bhattacharyya (in preparation)



Redshift evolution of index, temperature-density and temperature-redshift relation for low global blazar heating

**OG** & Bhattacharyya (in preparation)



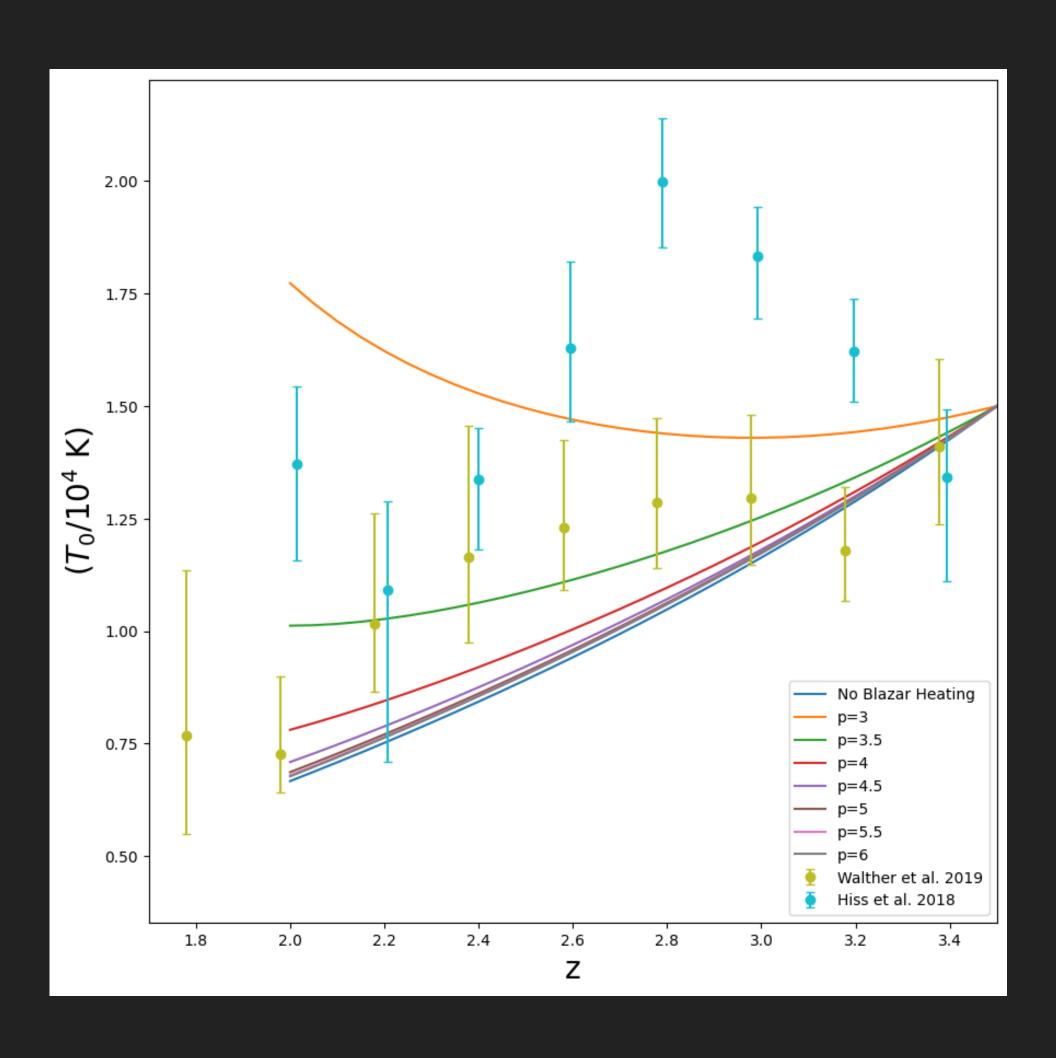
Redshift evolution of index, temperature-density and temperature-redshift relation for moderate global blazar heating

- Blazar-heating inverts the temperature-density relation
- ▶ This leads to an elevated entropy floor, raising the filtering mass
- ▶ Effective redshift-dependence of volumetric heating from fitting 40 blazars

$$\log_{10} \left( \frac{\dot{Q}_{\rm B}/n_{\rm bary}}{1 \, {\rm eVGyr}^{-1}} \right) = 0.0315(1+z)^3 - 0.512(1+z)^2 \quad \text{(Chang et al, 2011)}$$

$$+2.27(1+z) - \log_{10} \dot{Q}_{\text{mod}}$$

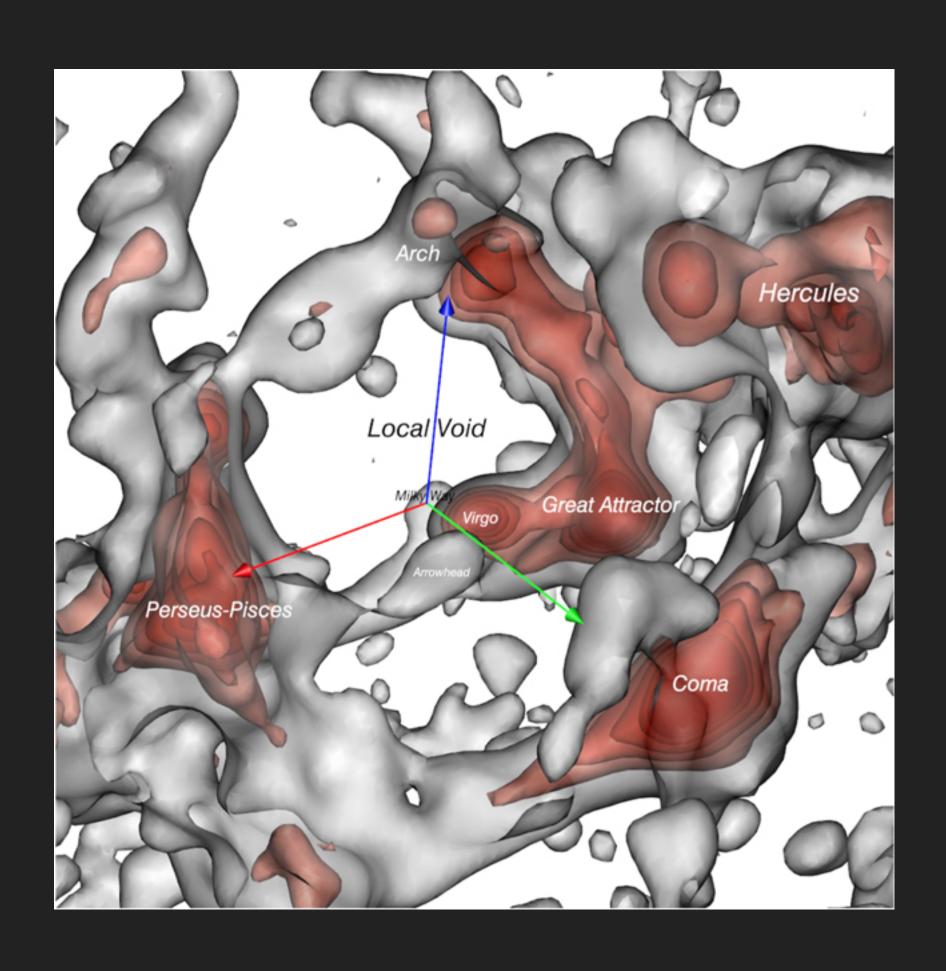
Degree of blazar heating  $p = \log_{10} \dot{Q}_{\mathrm{mod}}$ 



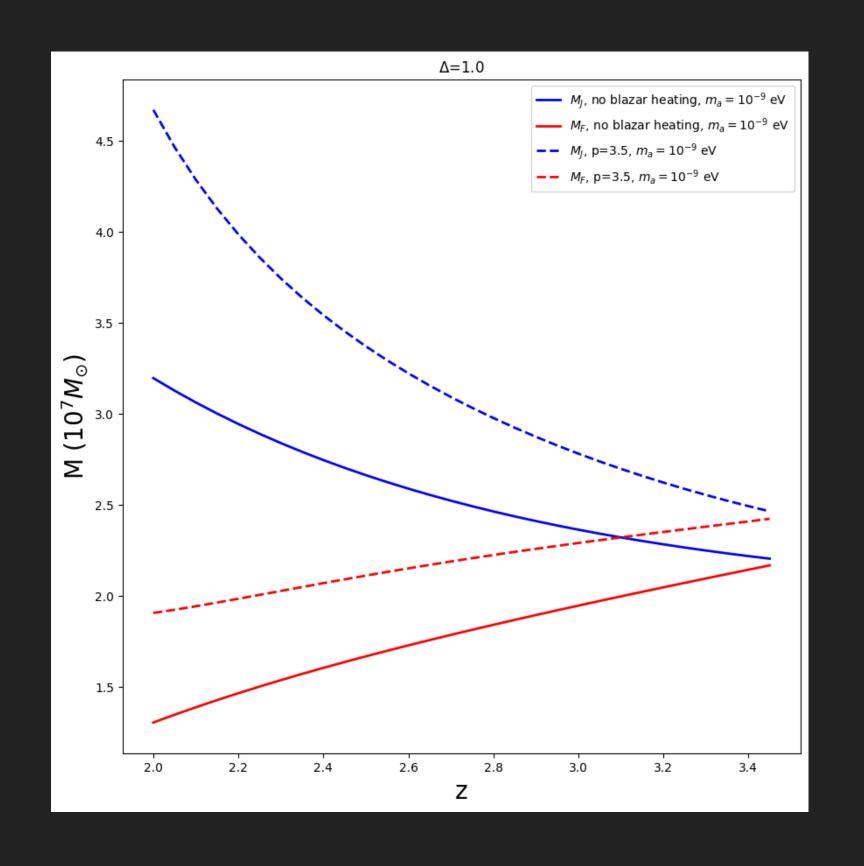
- ▶ Reionization ends at z=3.5
- Lyman-α bounds indicate
   IGM temperature at mean
   density favours intermediate
   to low levels of blazar
   heating
- Main source of uncertainty stems from Hell reionization models

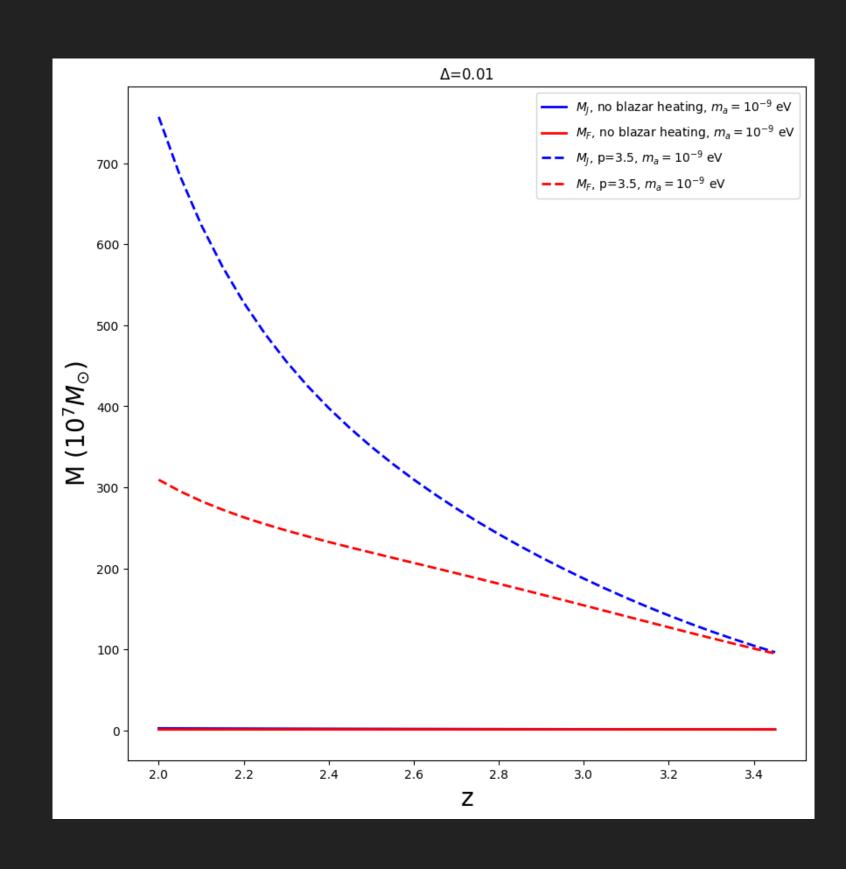
**OG** & Bhattacharyya (in preparation)

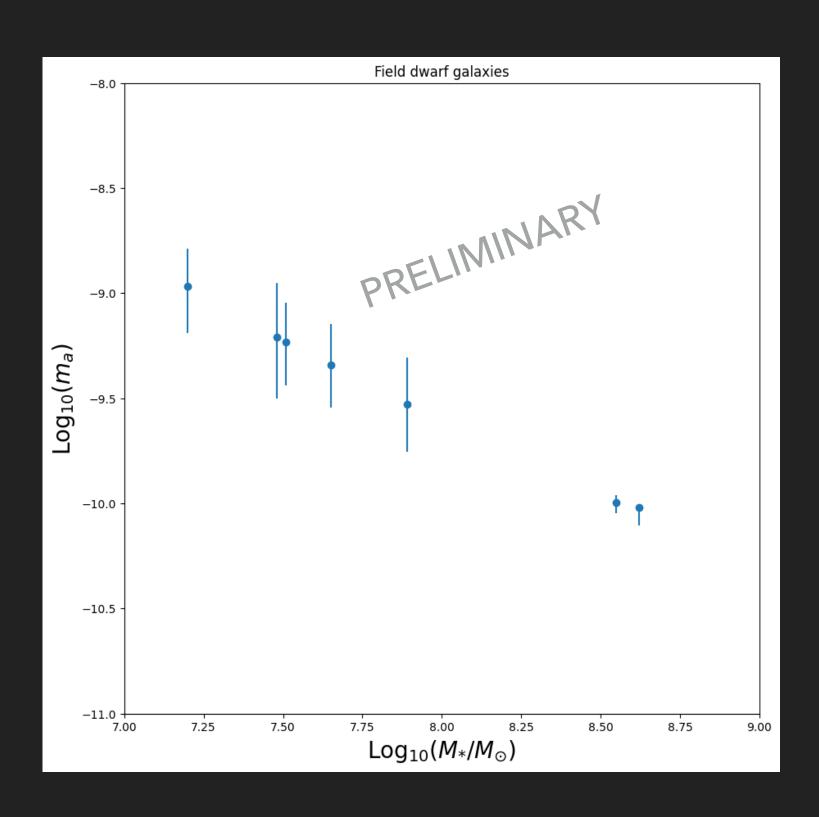
- Void dwarfs are relatively isolated, with less rich merger and accretion history
- Worthwhile to explore cosmologies with various degrees of blazar heating
- Implications for light dark matter candidates such as axion-like particles

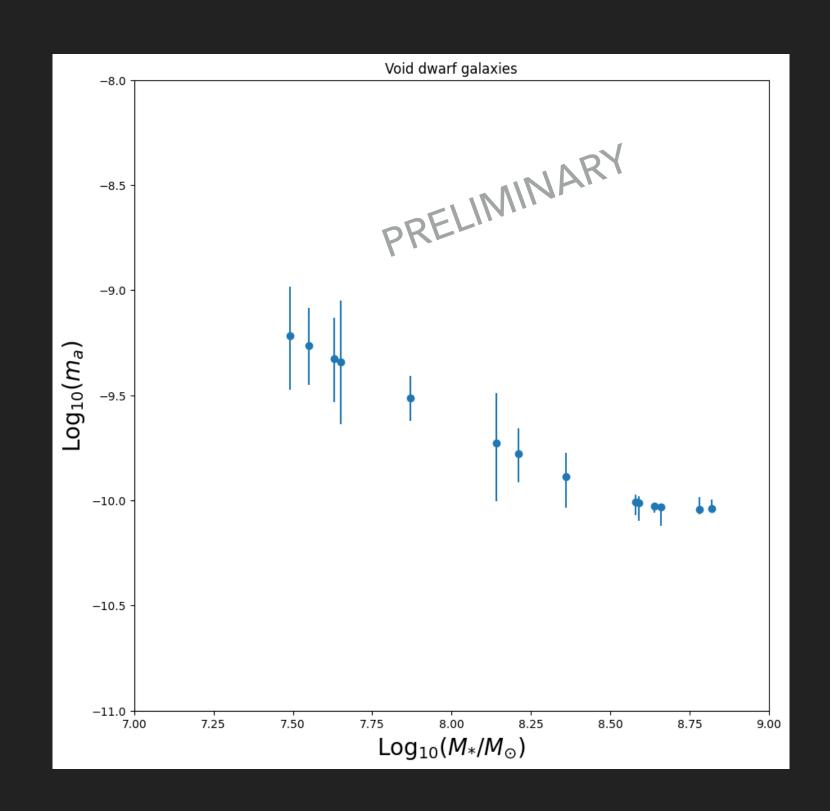


- Impact of global blazar heating is most prominent in underdense regions
- Blazar heating in the voids leads to modification the filtering masses
- Redshift dependence shows the impact is stronger at late times









A comparison between of field and void dwarfs based stellar kinematics data from KCWI (de Los Reyes et al, 2023) translates to ALP masses of  $m_a \sim 10^{-10} - 10^{-9}$  eV in presence of blazar heating (shown for p = 3.5)

**OG** & Bhattacharyya (in preparation)

#### KEY TAKEAWAYS

- GeV-TeV tension combined with absence of pair halo and IGRB measurements in the gamma-ray sky point towards collective plasma effects
- While propagating through plasma, pair beams suffer from virulent instabilities, however only accessible through a narrow resonance window
- Momentum diffusion in the beam can suppress instabilities thus energy drain is slower and not as efficient,
   magnetic diffusion more important for TeV blazar beams
- In absence of significant inhomogeneities in the IGM, instability losses heat the intergalactic medium, altering thermal histories locally
- lacksquare Strongly supported by Lyman-lpha observations, this raises the entropy floor and modifies the filtering scale
- In presence of blazar heating, recent void and field dwarf measurements translate to a favoured axion mass range of  $m_a \sim 10^{-10}-10^{-9}~{\rm eV}$

#### Thank you!

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#### BACKUP: MAGNETIC DIFFUSION LEADS TO PAIR BEAM BROADENING

For a 2D Gaussian pair beam distribution at injection

$$f_{b,\theta}(\theta,p) = \frac{1}{\pi\Delta\theta^2} \exp\left\{-\left(\frac{\theta}{\Delta\theta}\right)^2\right\}, \quad 0 \le \theta \le \pi$$

Magnetic diffusion in the beam due to weak tangled IGMF

$$\Delta \theta = \frac{m_e c}{p} \sqrt{1 + \frac{2}{3} \lambda_B \lambda_{\rm IC} \left(\frac{e B_{\rm IGM}}{m_e c}\right)^2}$$

#### BACKUP SLIDES: REACTIVE GROWTH RATE

- For cold beams propagating through cold plasma growth is reactive
- Hydrodynamic calculation yields

$$\operatorname{Im}(\tilde{\omega})_{r} = \frac{\sqrt{3}}{2^{4/3}} \omega_{p} \left(\frac{n_{b}}{\gamma_{b} n_{p}}\right)^{1/3} \left(\left(\frac{k_{\perp}}{k}\right)^{2} + \frac{1}{\gamma_{b}^{2}} \left(\frac{k_{\parallel}}{k}\right)^{2}\right)^{1/3}$$

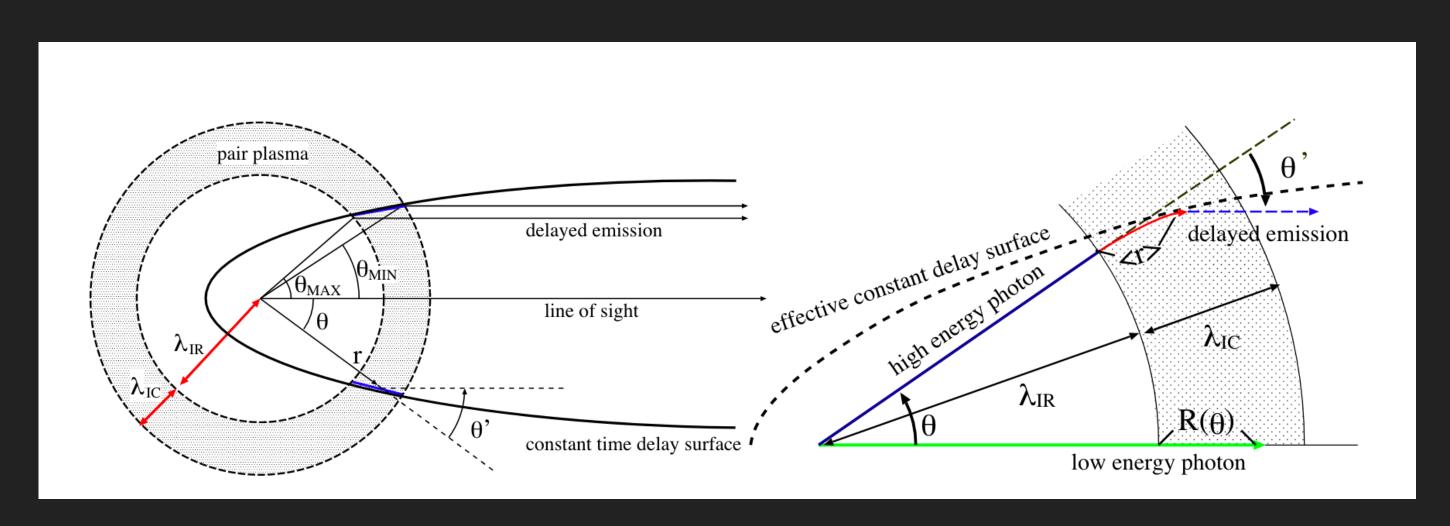
Prompt flux 
$$\frac{d^2N_{\gamma}}{dE_{\gamma}dt} = \frac{(\alpha - 1)L_{\gamma,iso}(t)}{4\pi D_L^2 E_{\gamma,pk}^2} \left(\frac{E_{\gamma}}{E_{\gamma,pk}}\right)^{-\alpha}, \quad \left(E_{\gamma,pk} < E_{\gamma} < E_{\text{cut}}\right)^{-\alpha}$$

Luminosity distance 
$$D_{\rm L}(z) = \frac{(1+z)}{H_0} \int_0^z dz' \left[ \Omega_r (1+z')^4 + \Omega_m (1+z')^3 + \Omega_\Lambda \right]^{-1/2}$$

Delayed emission due to pair deflection, ICS and momentum diffusion

$$\frac{d^{2}N_{\text{delayed}}}{dt_{\text{obs}}dE_{\gamma}} = \int d\gamma_{e} \frac{dN_{e}}{d\gamma_{e}} \frac{3\sigma_{T}}{4\gamma_{e}^{2}} \frac{d\langle r \rangle}{dt_{\text{obs}}} \int d\epsilon_{\gamma,\text{CMB}} n_{\text{CMB}} \left(\epsilon_{\gamma,\text{CMB}}\right) \frac{f(x)}{\epsilon_{\gamma,\text{CMB}}}$$

▶ However  $\langle \theta_{\rm broad}^2(\theta) \rangle \ll \langle \theta_{\rm IC}^2(\theta) \rangle$ , momentum diffusion is not significant for astrophysical pair beams



 $\begin{array}{c} \bullet \quad \text{Delayed gamma-ray flux} \\ \frac{d^2N}{\text{delayed}} = \int d\gamma_e \frac{dN_e}{d\gamma_e} \frac{d^2N_{IC}}{dtdE_{\gamma}} \end{array}$ 

Taking into account ICS, this can be written as

$$\frac{d^{2}N_{\text{delayed}}}{dt_{\text{obs}} dE_{\gamma}} = \int d\gamma_{e} \frac{dN_{e}}{d\gamma_{e}} \frac{3\sigma_{T}}{4\gamma_{e}^{2}} \frac{d\langle r \rangle}{dt_{\text{obs}}} \int d\epsilon_{\gamma,\text{CMB}} n_{\text{CMB}} \left(\epsilon_{\gamma,\text{CMB}}\right) \frac{f(x)}{\epsilon_{\gamma,\text{CMB}}}$$

Pairs at production travels to the observer at a speed of

$$\frac{d\langle r\rangle}{dt_{\text{obs}}} = \frac{2c}{(1+z)\left[\theta^2 + \Theta^2/3\right]}$$

Relevant quantity: IC mean free path  $\ell_{\rm ICS} = \frac{1}{\sigma_{\rm T} n_{\rm CMB}} \approx 10~{\rm kpc}~(1+z)^{-3}$ 

Taking into account pressure dilution owing to Hubble expansion, a filtering scale  $\lambda_F = 2\pi a/k_F$  can be applied

$$\frac{1}{k_F^2(t)} = \frac{1}{D_+(t)} \int_0^t dt' a^2(t') \frac{\ddot{D}_+(t') + 2H(t') \, \dot{D}_+(t')}{k_J^2(t')}$$
 Generally, 
$$\int_{t'}^t \frac{dt''}{a^2(t'')}$$

Corresponding filtering mass  $M_F = \frac{4}{3}\pi \overline{\rho} \lambda_F^3$ 

## BACKUP: INHOMOGENEITIES IN IGM

- When beam opening angle  $\theta_0\sim 1/\mu\Lambda$ , instability is weak as resonant modes are confined within narrow  $\Delta k$
- $\Lambda$  is the plasma parameter, and in longitudinal direction  $\mu_{\parallel} = \frac{c}{\omega_p L_{||}} \frac{\gamma_b}{\alpha}$

# BACKUP: FERMI-LAT + H.E.S.S. COMBINED ANALYSIS, LIMITS ON IGMF

