

Status of data taking

Integrated Luminosity: 424 fb^{-1} (2019-2022):

- 363 fb^{-1} at $\sqrt{s}=10.58 \text{ GeV} = M(\Upsilon(4S))$
- 42 fb^{-1} at $\sqrt{s}=10.52 \text{ GeV}$
- 19 fb^{-1} at $\sqrt{s}=10.75 \text{ GeV}$ for exotic hadron searches

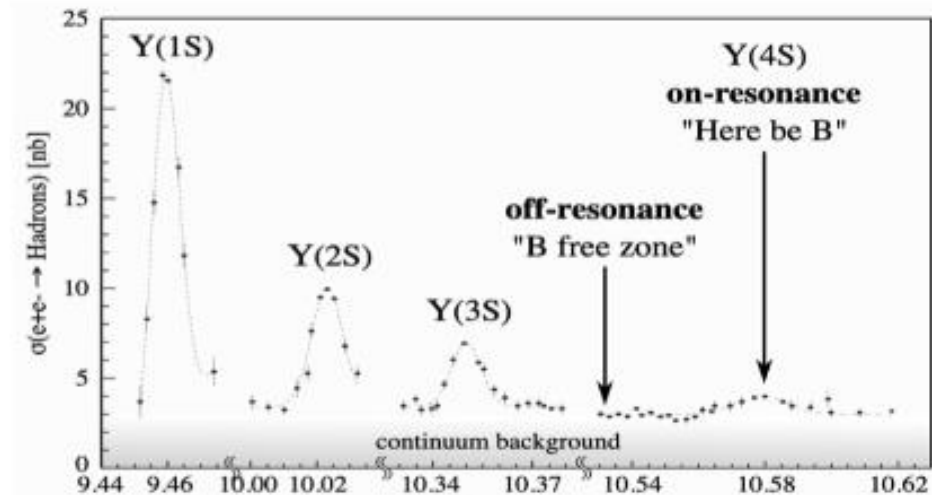
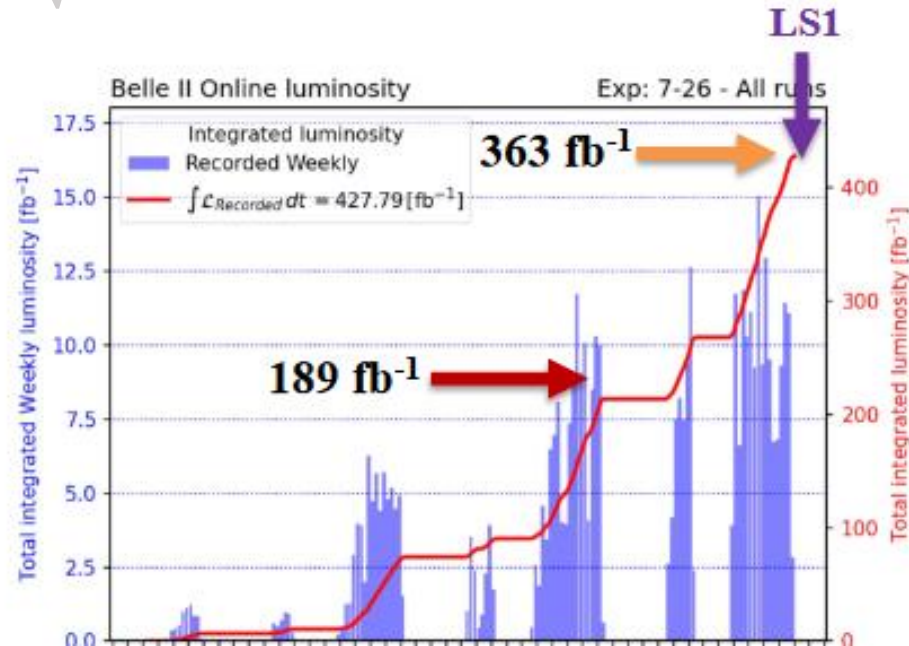
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On resonance data

Off resonance data



Currently: Long Shutdown 1 (15 mos.) for detector upgrades and beam-pipe improvement

(Semi)Leptonic decays approach: Untagged vs Tagged

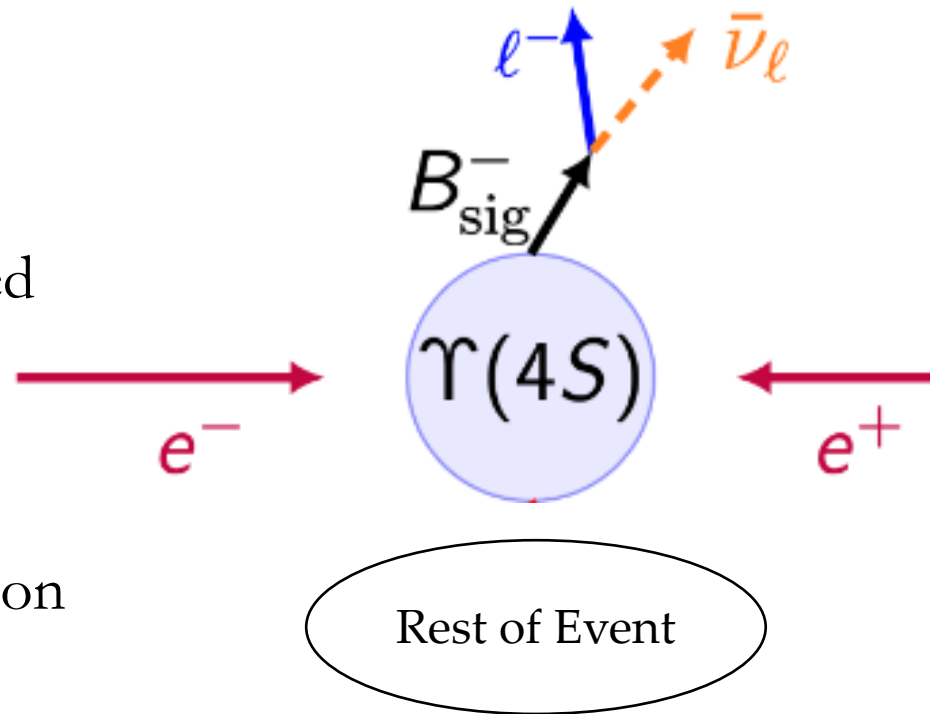
Untagged:

Only B_{sig} is reconstructed

High signal yield

High background

Poor neutrino reconstruction



Tagged:

B_{sig} and B_{tag} are reconstructed

Signal Yield 1000 times lower

Low backgrounds

Good neutrino reconstruction

Tag Calibration

(Semi)Leptonic decays approach: Untagged vs Tagged

Untagged:

Only B_{sig} is reconstructed

High signal yield

High background

Poor neutrino reconstruction



Tagged:

B_{sig} and B_{tag} are reconstructed

Signal Yield 1000 times lower

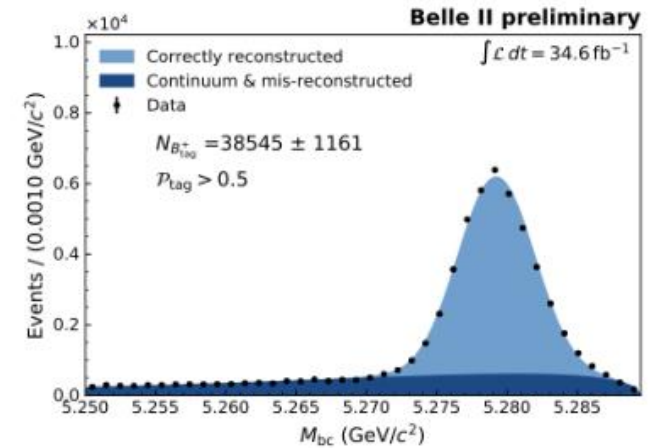
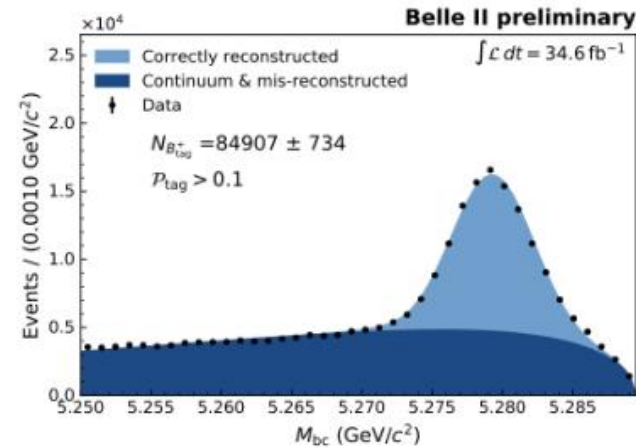
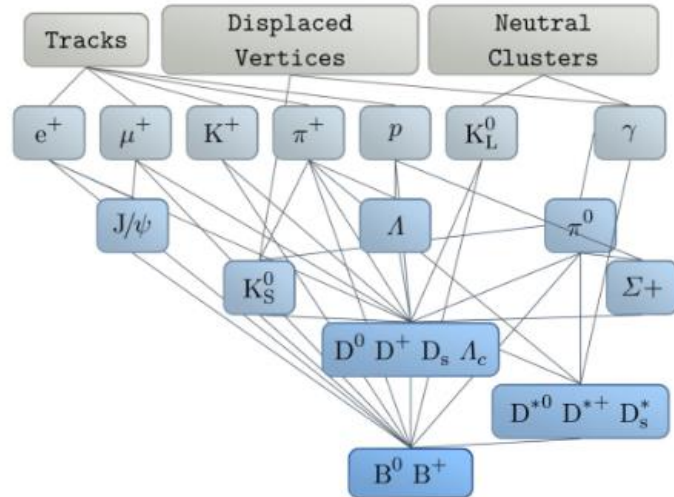
Low backgrounds

Good neutrino reconstruction

Tag Calibration

Hadronic tagging at Belle II

Comput Softw Big Sci (2019) 3: 6.



$$M_{bc} = \sqrt{E_{beam}^2/4 - (p_{B_{tag}}^{cm})^2} > 5.27 \text{ GeV}/c^2$$

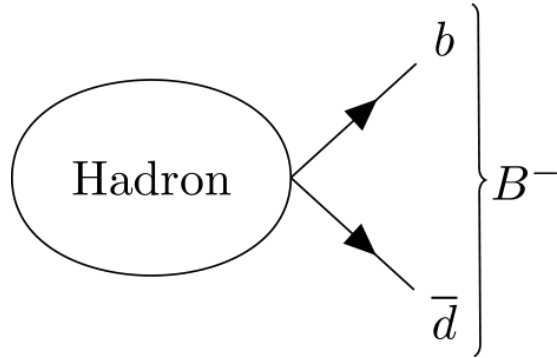
The Hadronic FEI employs over 200 boosted decision trees to reconstruct 10000 B decay chains:

$\epsilon_{B^+} \approx 0,5 \%$, $\epsilon_{B^0} \approx 0,3 \%$ at low purity (about 50% increase with respect to the Belle tag)

$B \rightarrow \tau \nu$ decay with Hadronic FEI

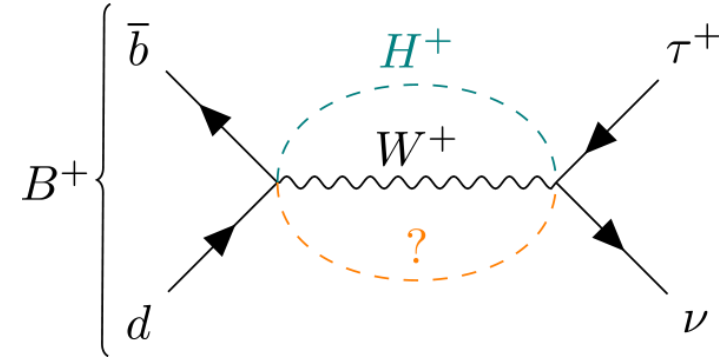
Hadronic FEI Skim

- TagProb > 0.001
- $|\Delta E| < 0.2 \text{ GeV}$
- $M_{bc} > 5.24 \text{ GeV}$



Rest of Event

- 0 Extra Tracks (from IP)
- Extra Energy in ECL must be 0 in signal events and larger in background.



$$\mathcal{BR}(B \rightarrow \ell \nu) = \frac{G_F^2 m_B m_\ell^2}{8\pi} \left[1 - \frac{m_\ell^2}{m_B^2} \right] f_B^2 |V_{ub}|^2 \tau_B \alpha \beta$$

Very clean theoretically, hard experimentally
Standard Model is helicity suppressed

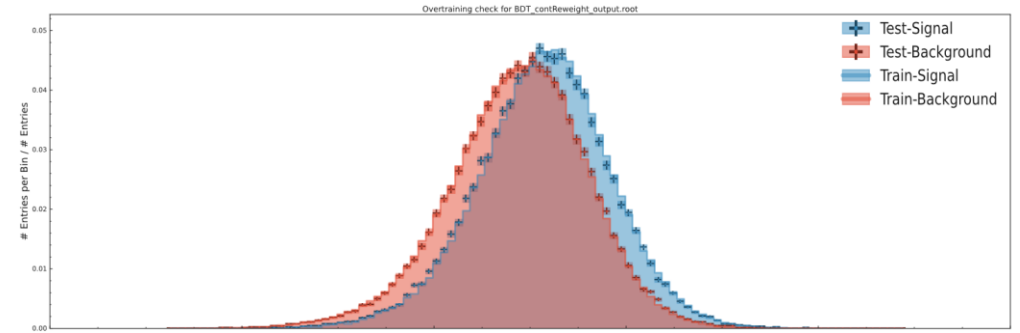
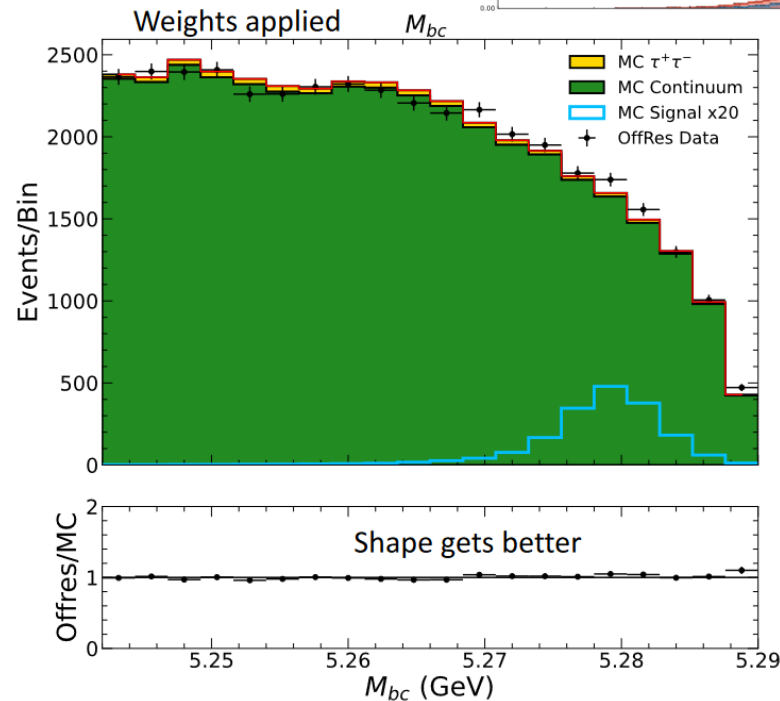
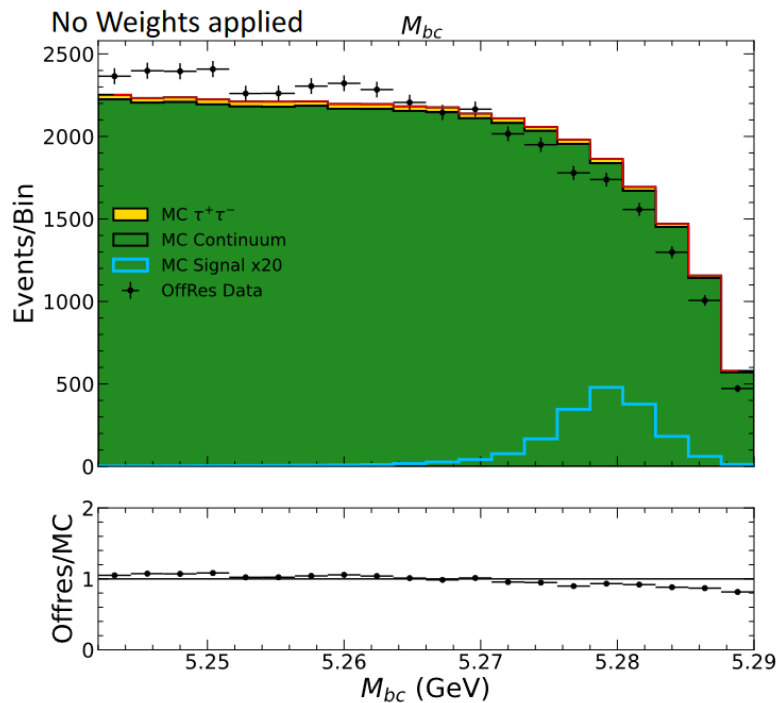
- 1 track with PID request (e, μ or π) with $p_t > 0.5 \text{ GeV}$
- π^0 for $\tau \rightarrow \rho \nu \rightarrow \pi \pi^0 \nu$ decay

Dataset: 189/fb on res – 14/fb off res – 1000/fb MC

Analysis workflow: continuum background treatment

The $q\bar{q}$ MC background is

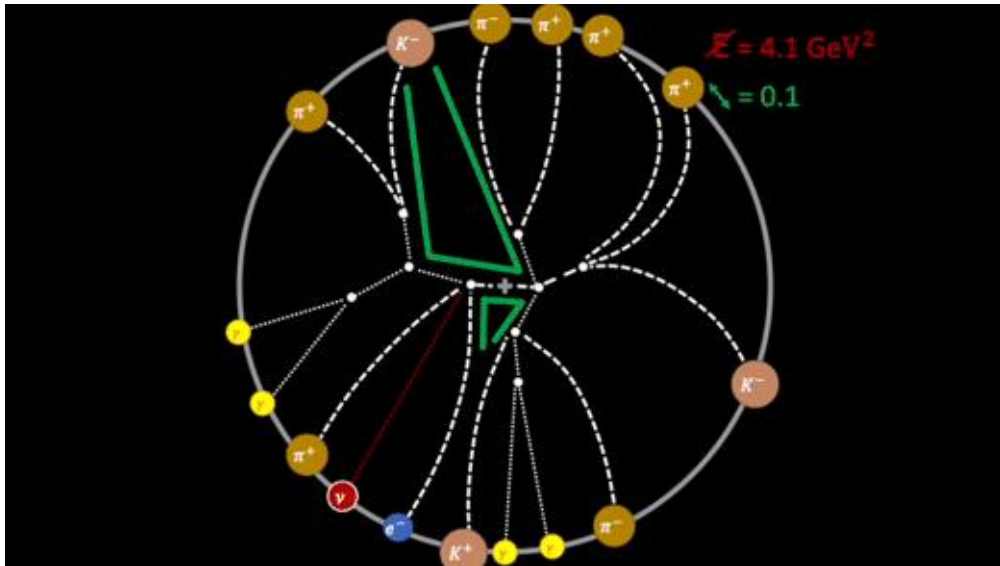
1. Reweighted with a BDT-weight ($q\bar{q}$ vs offres data)
2. Normalized to off peak yield



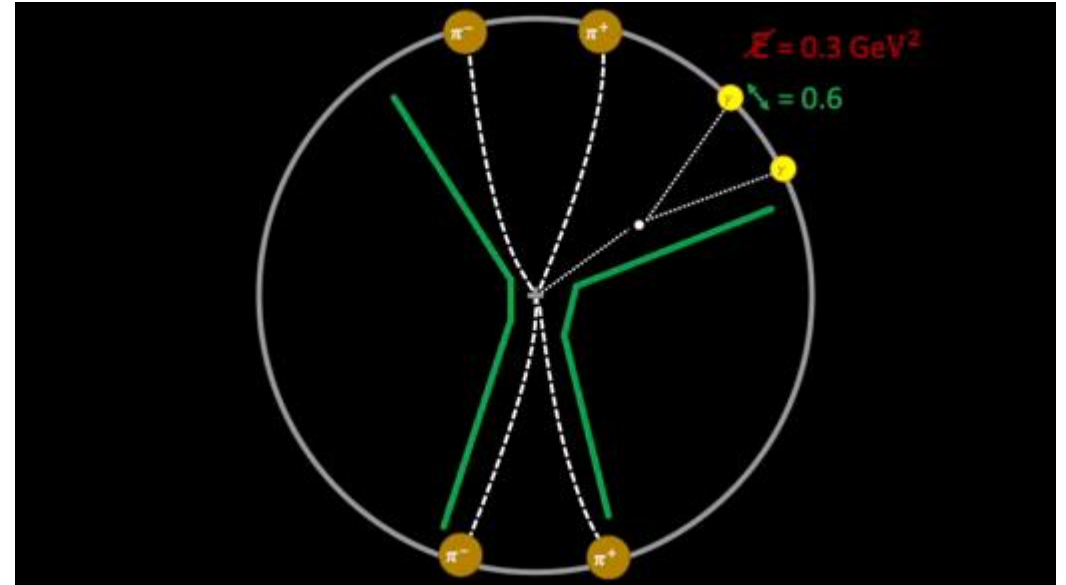
$$w_{contReweight} = \frac{BDT_{output}}{1 - BDT_{output}}$$

Analysis workflow: enhancement of the signal

The $q\bar{q}$ background rejection is obtained with a BDT ($q\bar{q}$ vs $B \rightarrow \tau\nu$). It is trained with all the event shape variables.



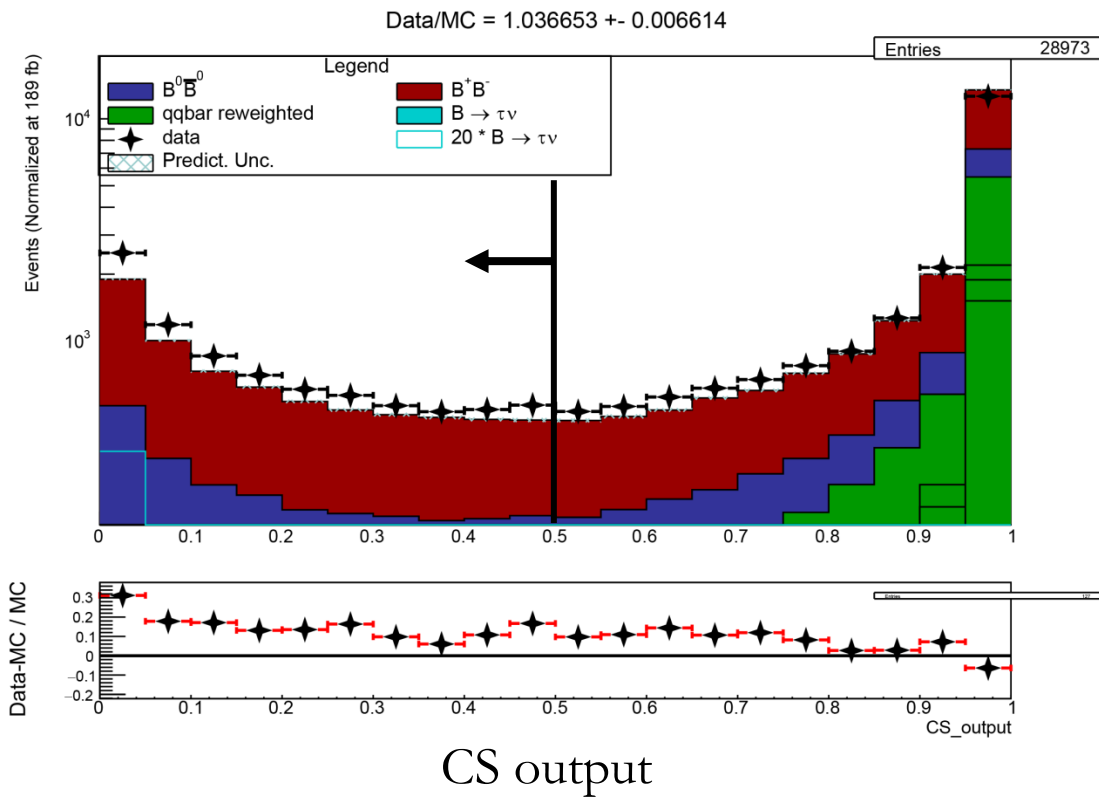
Example of $e^+e^- \rightarrow BB$ event



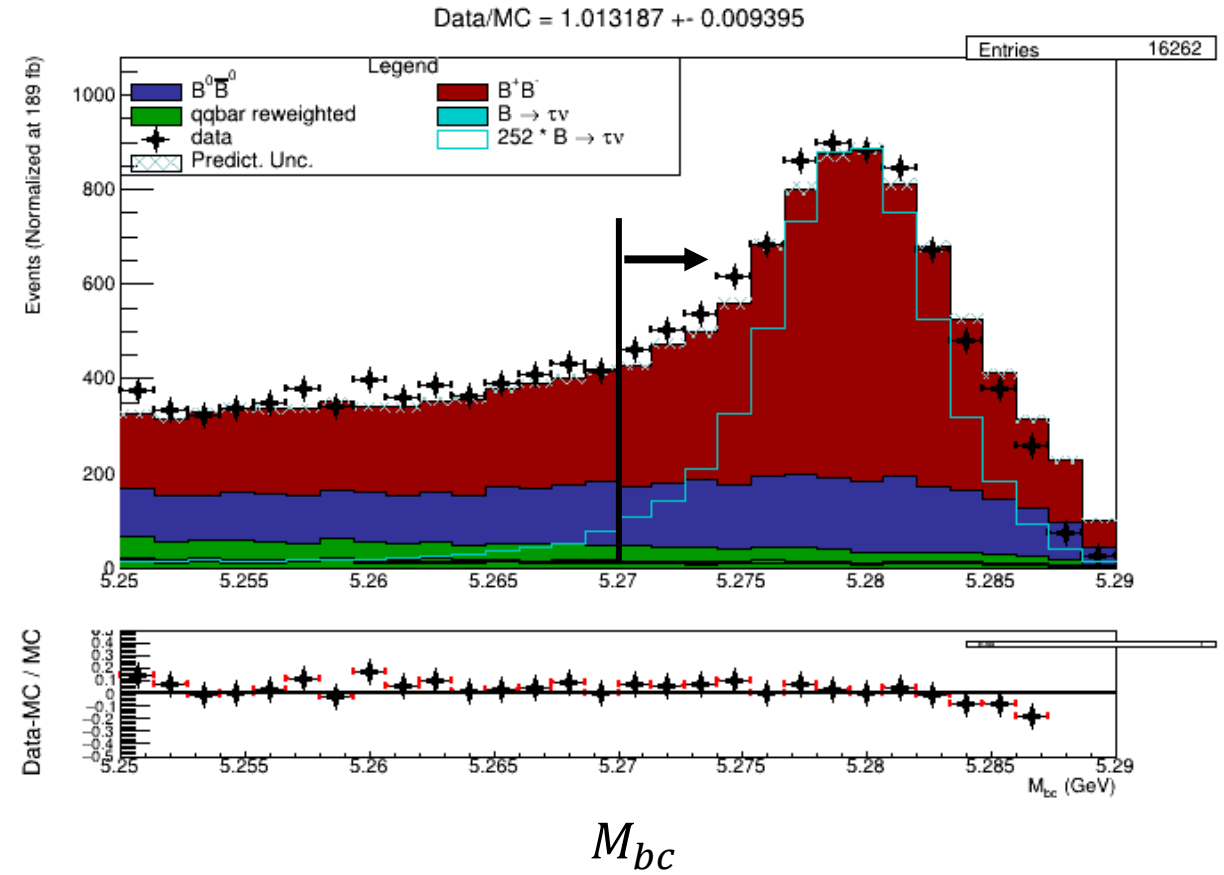
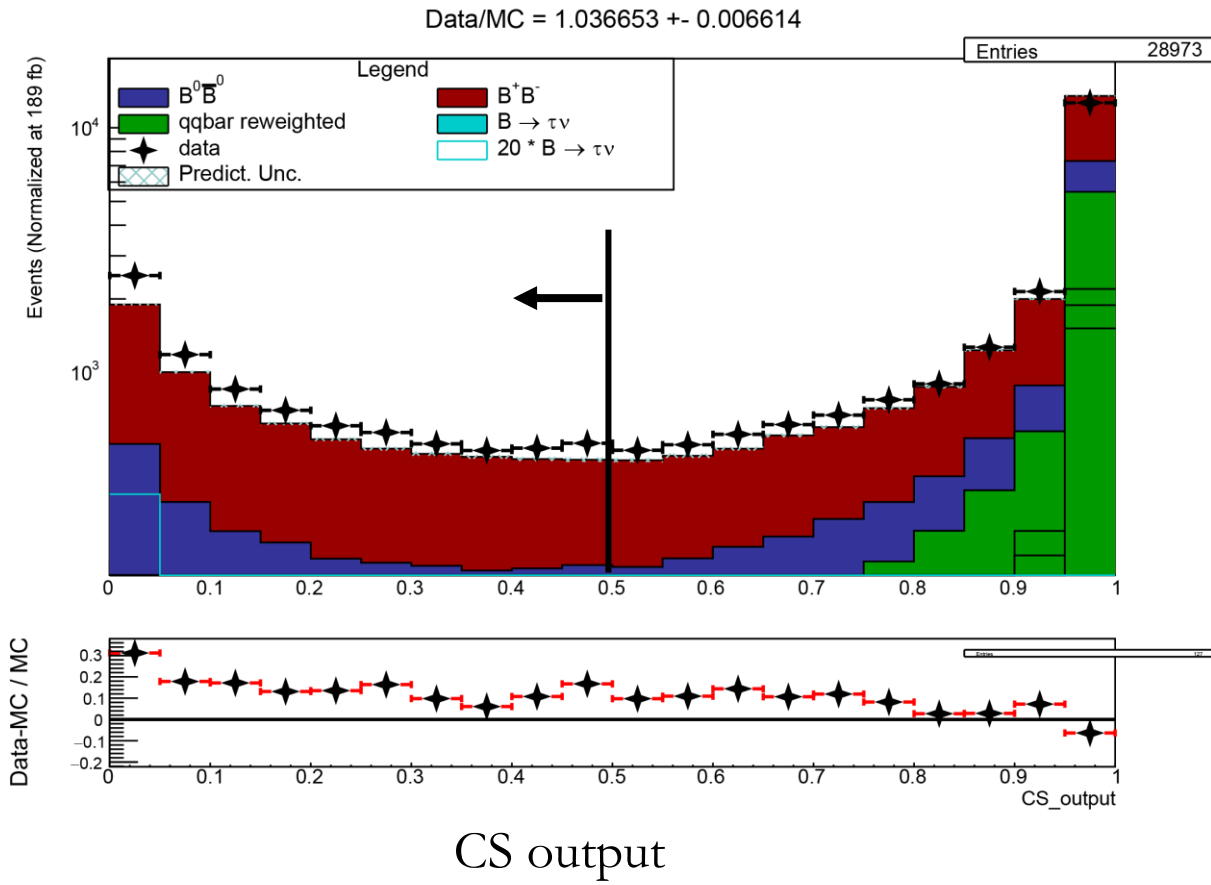
Example of $e^+e^- \rightarrow u\bar{u}$ event

Analysis workflow: enhancement of the signal

The $q\bar{q}$ background rejection is obtained with a BDT ($q\bar{q}$ vs $B \rightarrow \tau\nu$). It is trained with all the event shape variables.

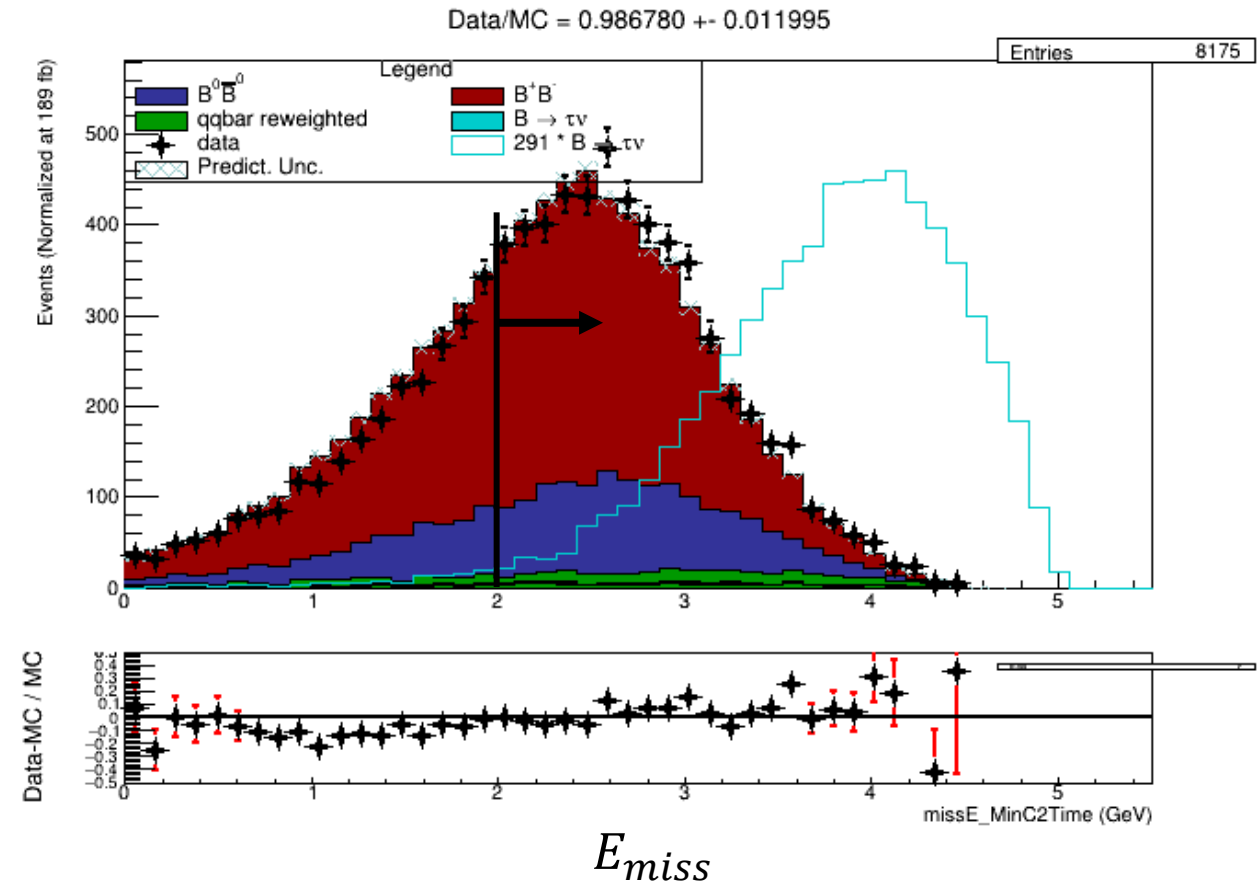
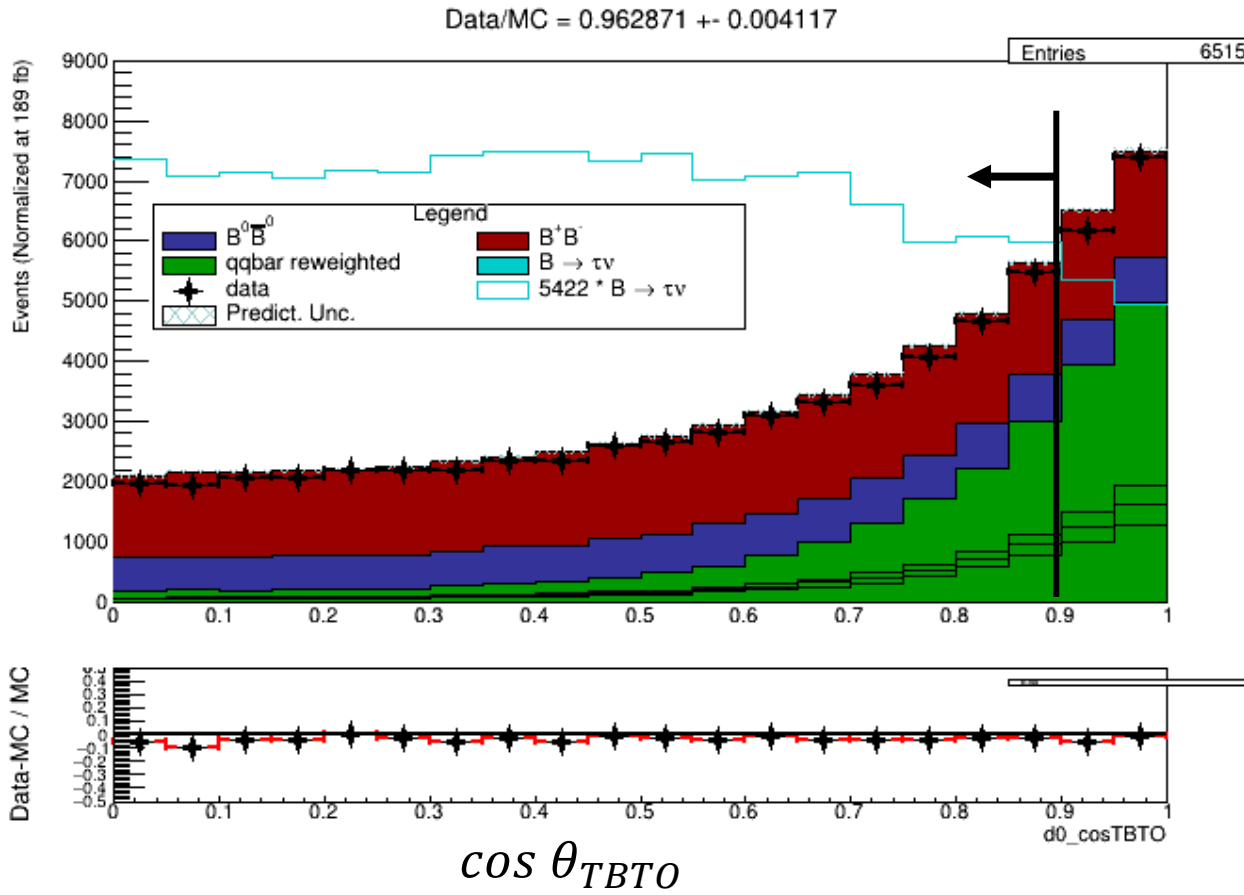


Analysis workflow: enhancement of the signal

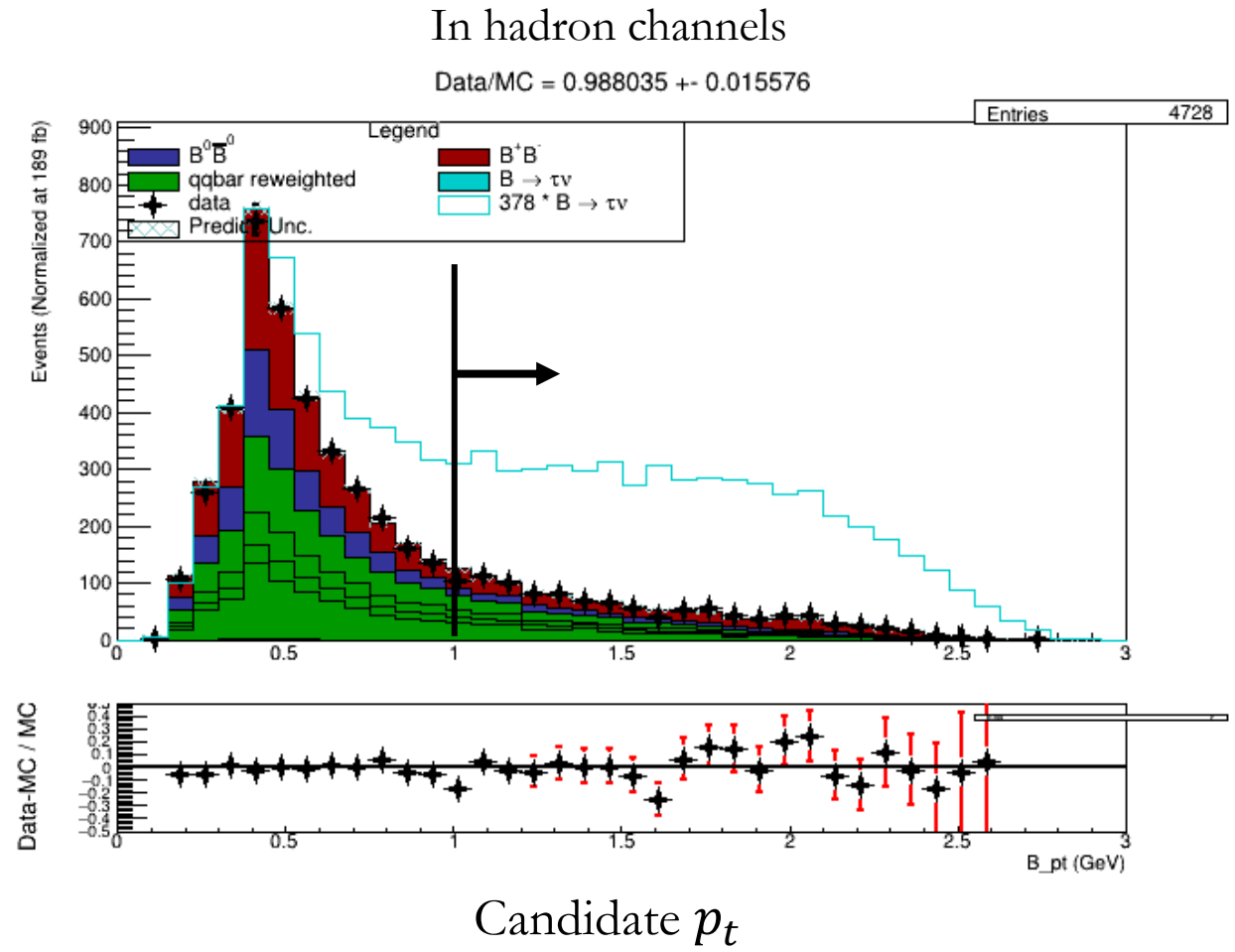
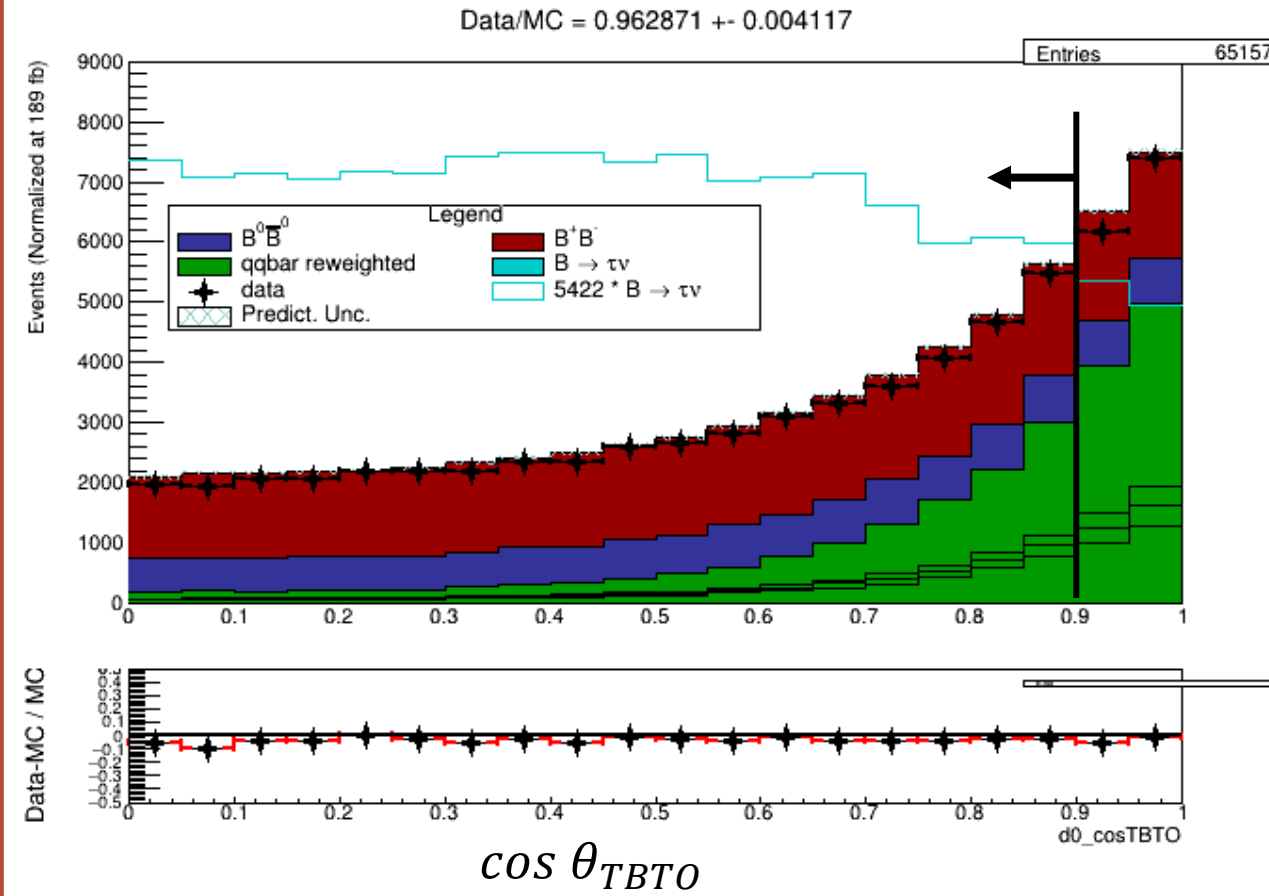


Analysis workflow: enhancement of the signal

In lepton channels

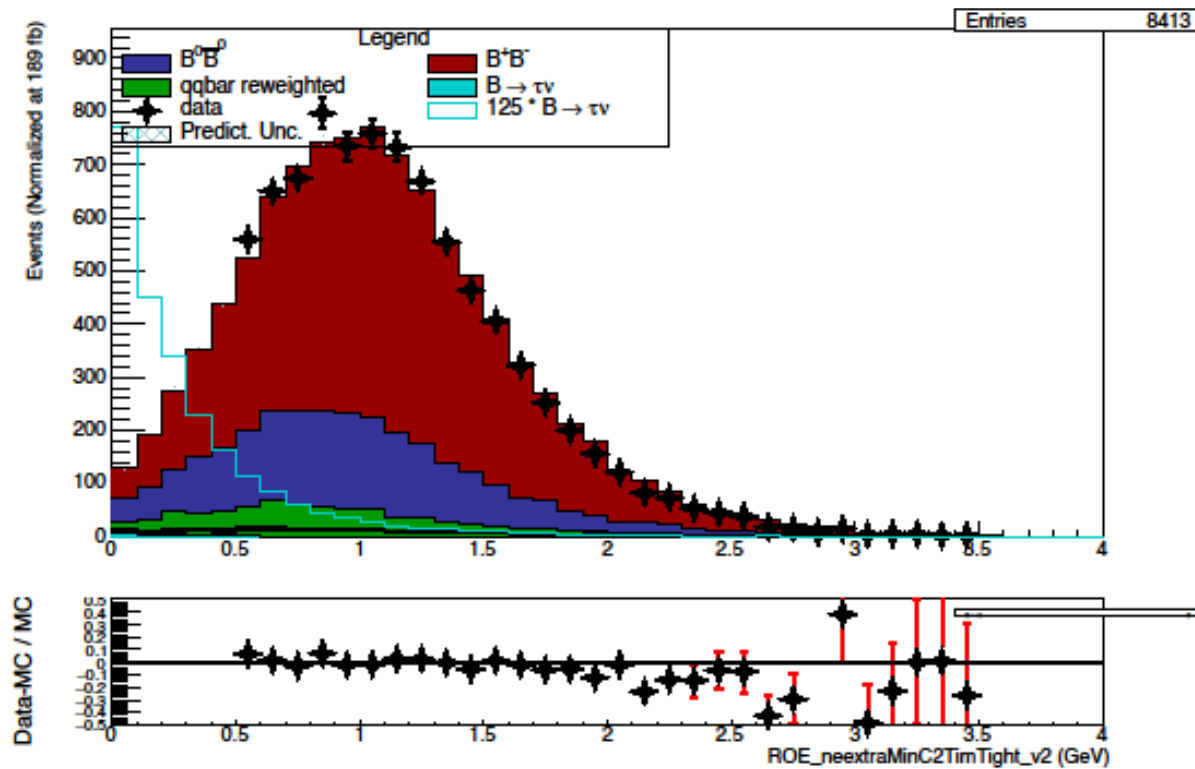


Analysis workflow: enhancement of the signal

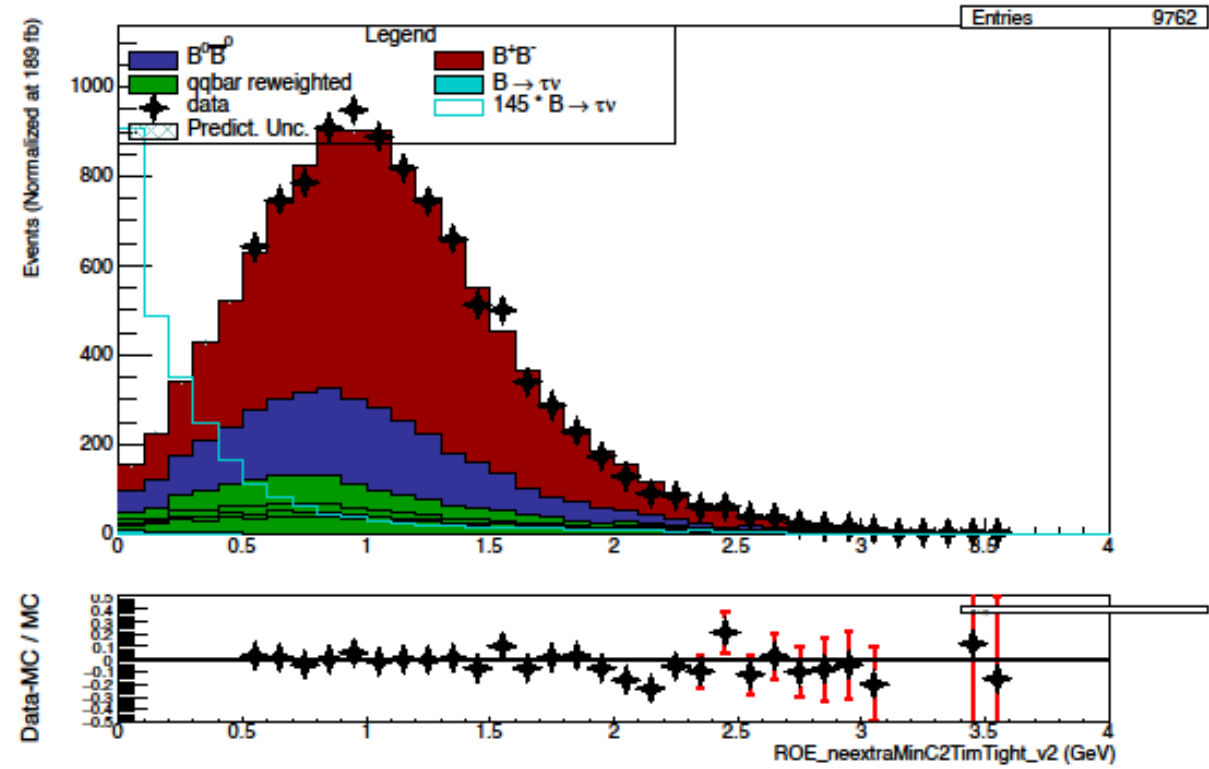


E_{ECL} distributions

The Branching Ratio measurement will be done with a ECL energy fit. This is the energy released in the calorimeter with no tracks or cluser associated.

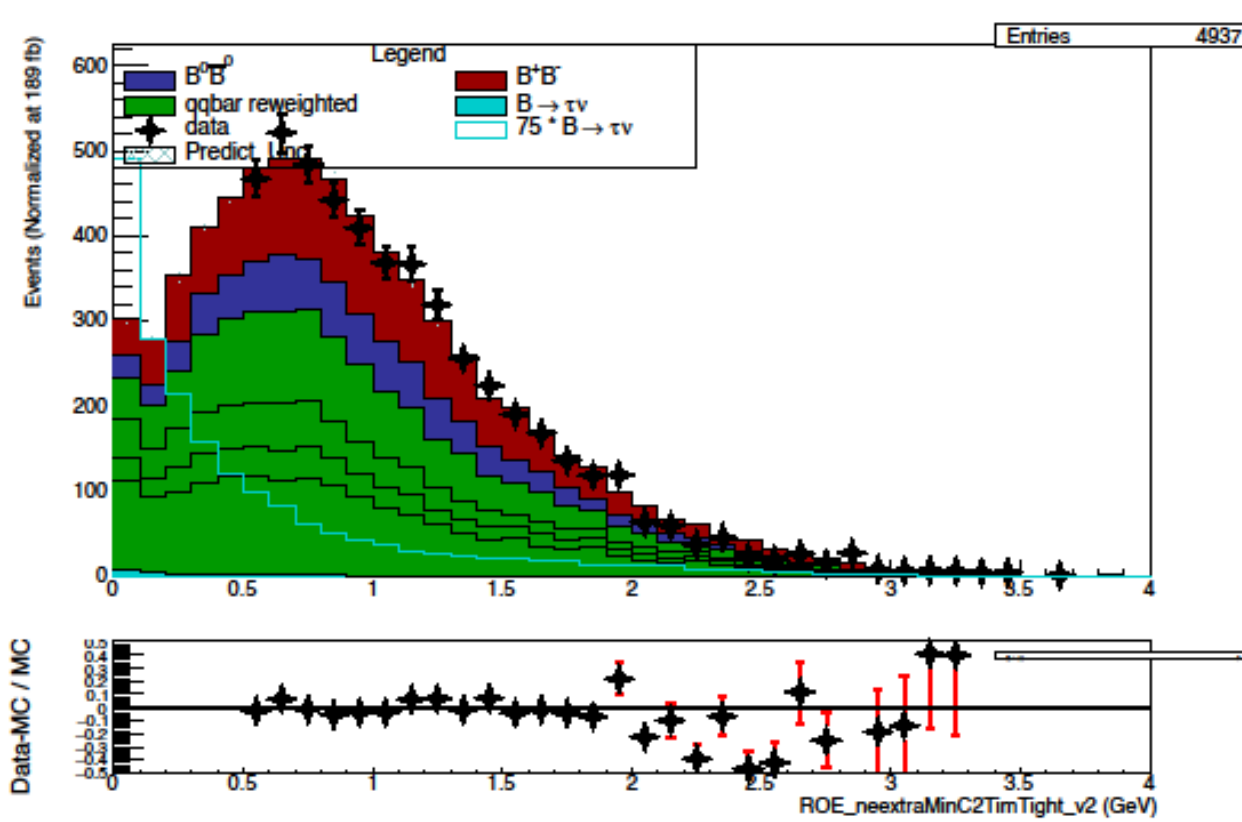


$\tau \rightarrow e\nu\nu$

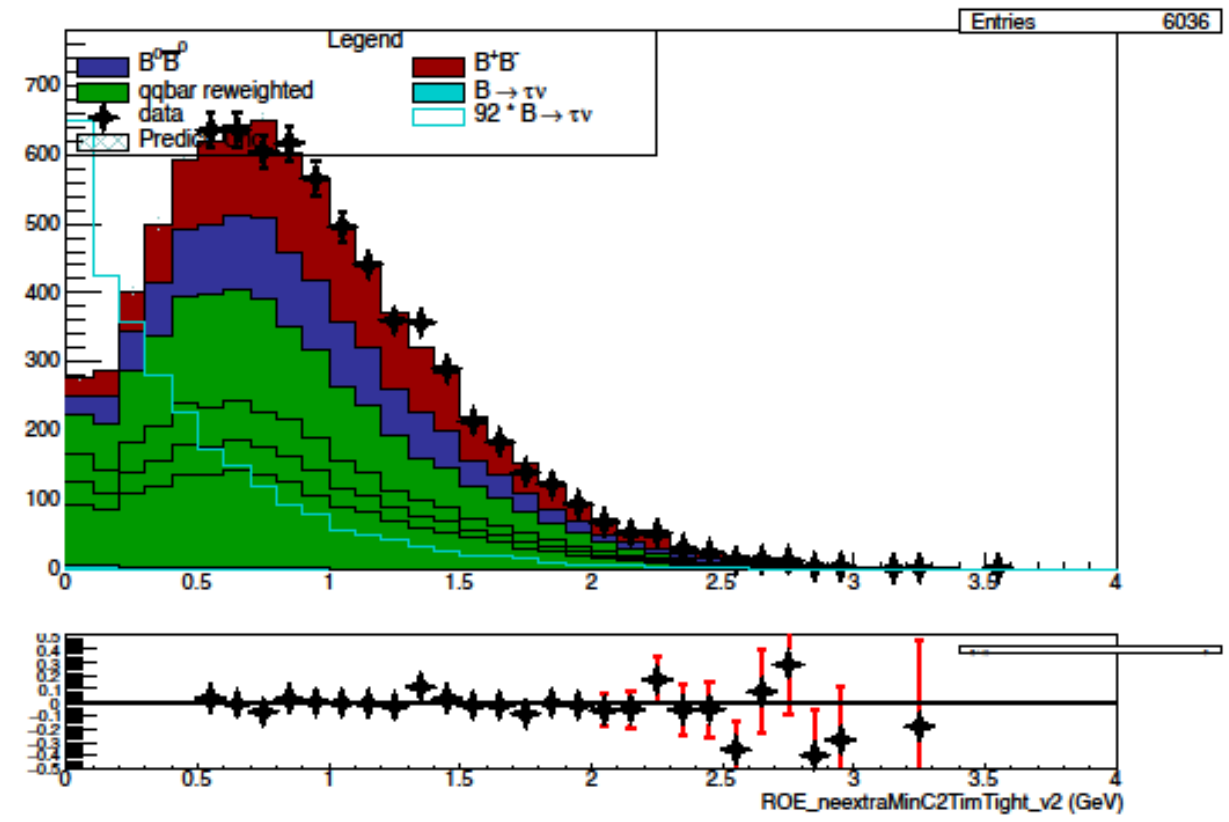


$\tau \rightarrow \mu\nu\nu$

E_{ECL} distributions



$\tau \rightarrow \pi \nu$



$\tau \rightarrow \rho \nu$

Sensitivity study on Branching Ratio measurement

$$\mathcal{L}_k = \frac{e^{-(n_{s,k}+n_{b,k})}}{N_k!} \prod_{i=1}^{N_k} \left\{ n_{s,k} \mathcal{P}_k^s(E_{i,k}) + n_{b,k} \mathcal{P}_k^b(E_{i,k}) \right\}$$

$$n_{s,k} = 2L_{\text{int}} \sigma_{B+B^-} \varepsilon_k \mathcal{BR}(B \rightarrow \tau \nu) = 2L_{\text{int}} \sigma_{B+B^-} \frac{N^{\text{reco}}(\tau \rightarrow k)}{N^{\text{gen}}(B \rightarrow \tau \nu)} \mathcal{BR}(B \rightarrow \tau \nu)$$

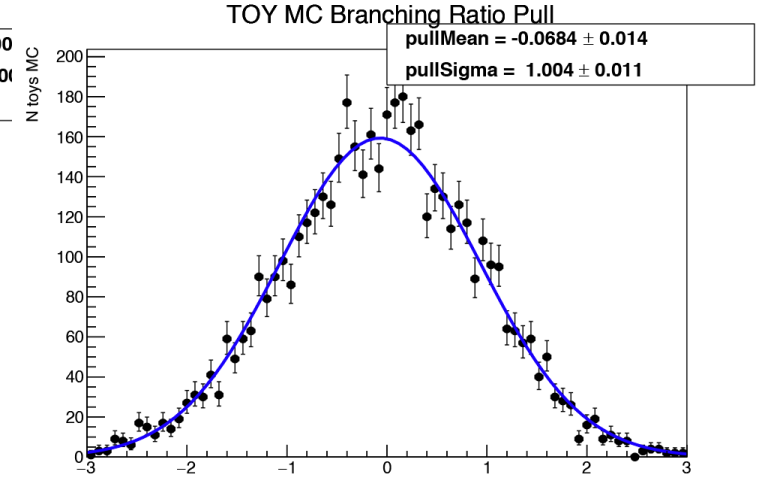
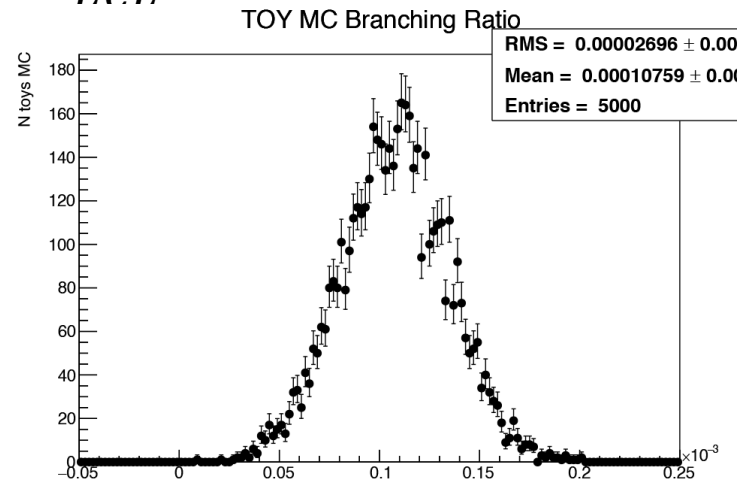
$\tau \rightarrow$	$P_{\text{min}}(\text{GeV})$	TagProb	$E_{\text{miss}}(\text{GeV})$	BDT
$e\nu\nu$	0.4	0.01	2.5	0.5
$\mu\nu$	0.4	0.01	2.5	0.5
$\pi\nu$	1.2	0.01	2	0.5
$\rho\nu$	1.3	0.01	2	0.5

Optimal cut configuration by minimizing relative uncertainty on the Branching Ratio with TOY MC
 The fit will be performed on «the best» E_{FCI} distribution: that is the one that gives the best relative error

Branching Ratio prediction in a simultaneous fit @ 364 /fb

$$BR = 1.08 \pm 0.29$$

$$\text{Relative Error} = 0.2677$$



Conclusion

The next step of this analysis are:

1. We use MC to get signal and B background shapes: we need to validate MC modelling of E_{ECL} we need control samples, one for signal and another for BB background
2. Improve and consolidate the most important steps of the analysis
3. Start evaluating largest systematic uncertainties

We aim to publish the measurement in an article in summer 2023.

Thanks for your attention