

Latest neutrino oscillation results and prospect from IceCube

NNN Workshop 2023, Procida



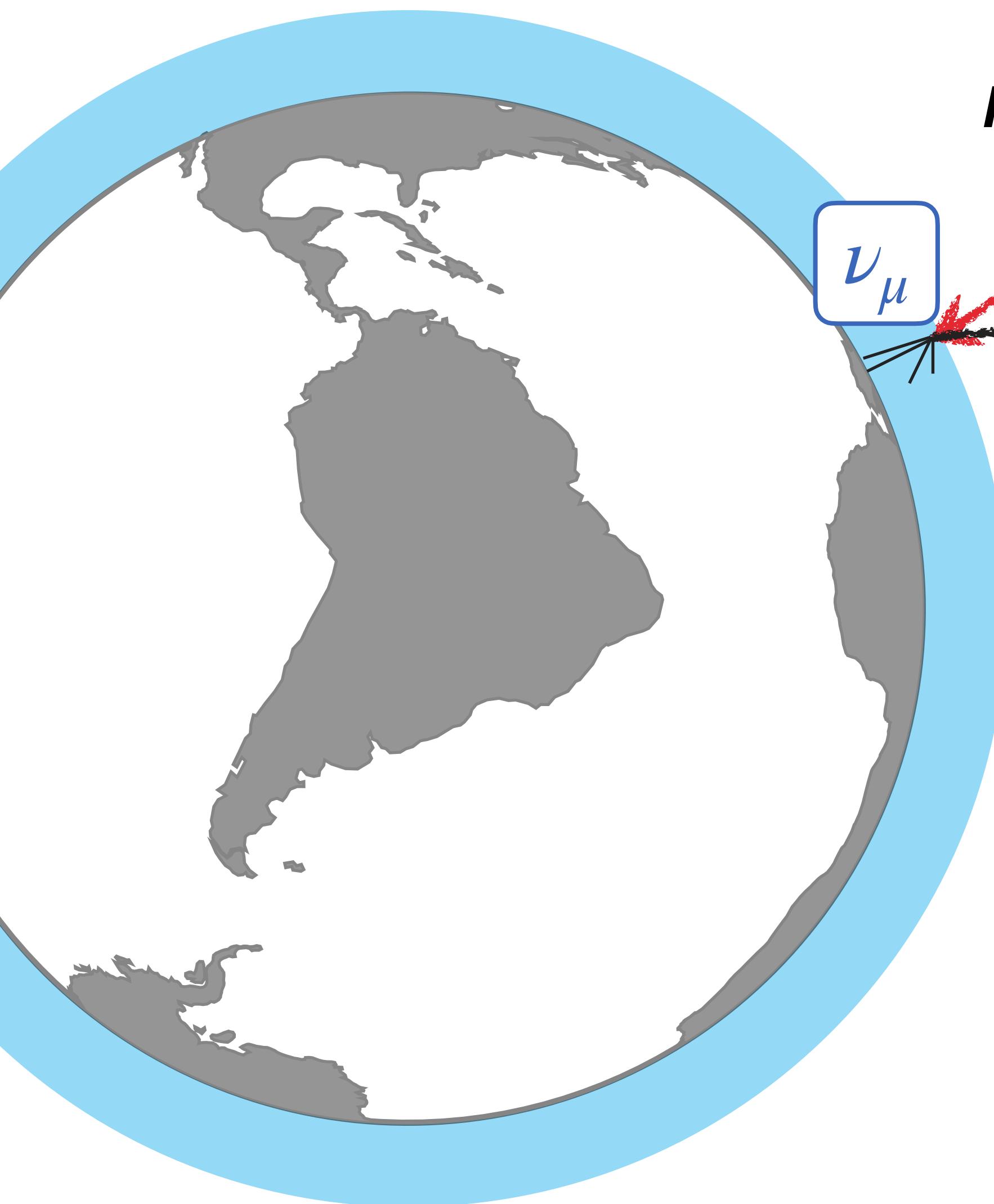
A. Trettin for the IceCube Collaboration, 12.10.2023

MANCHESTER
1824

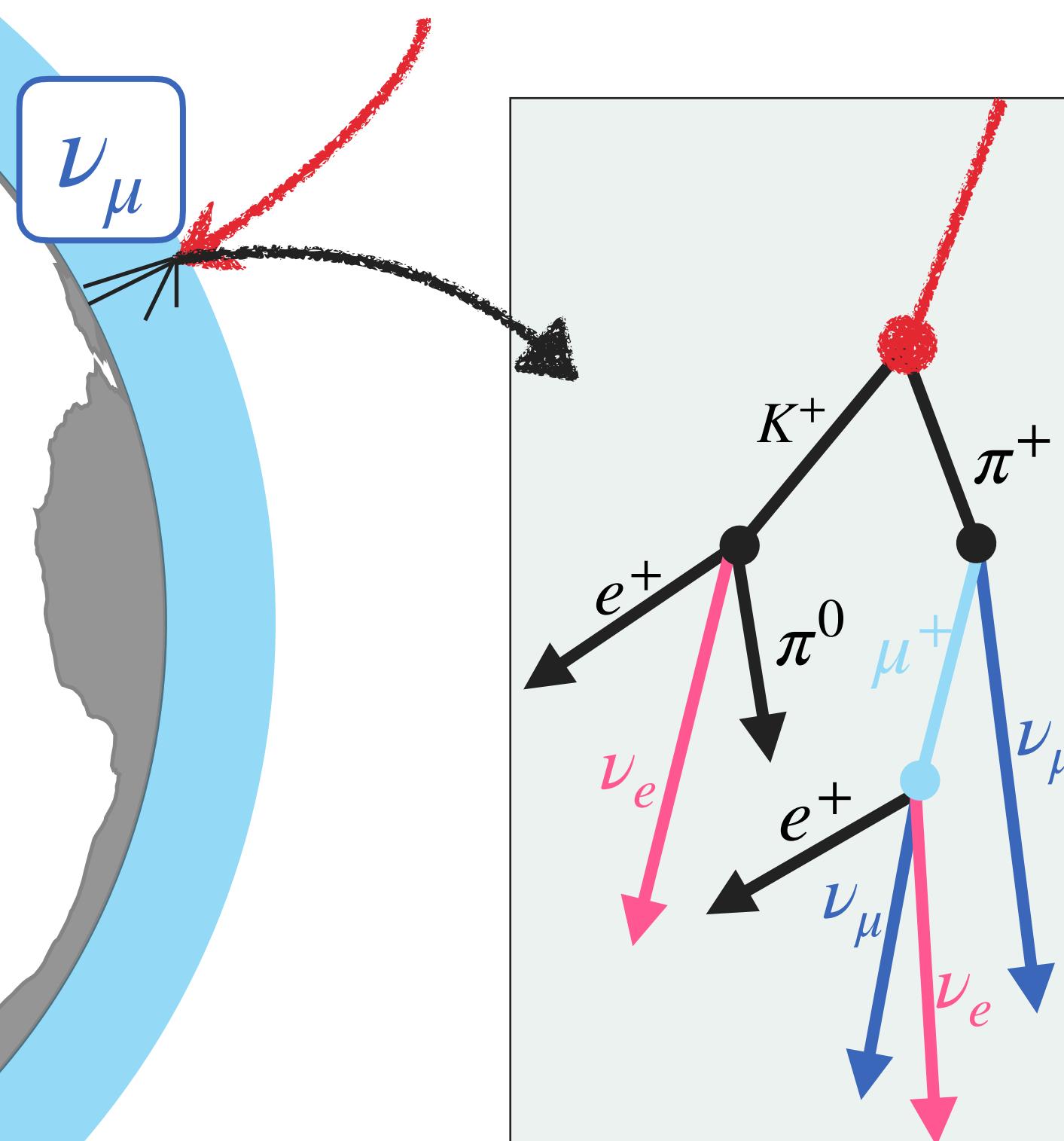
The University of Manchester

Atmospheric Neutrinos and IceCube

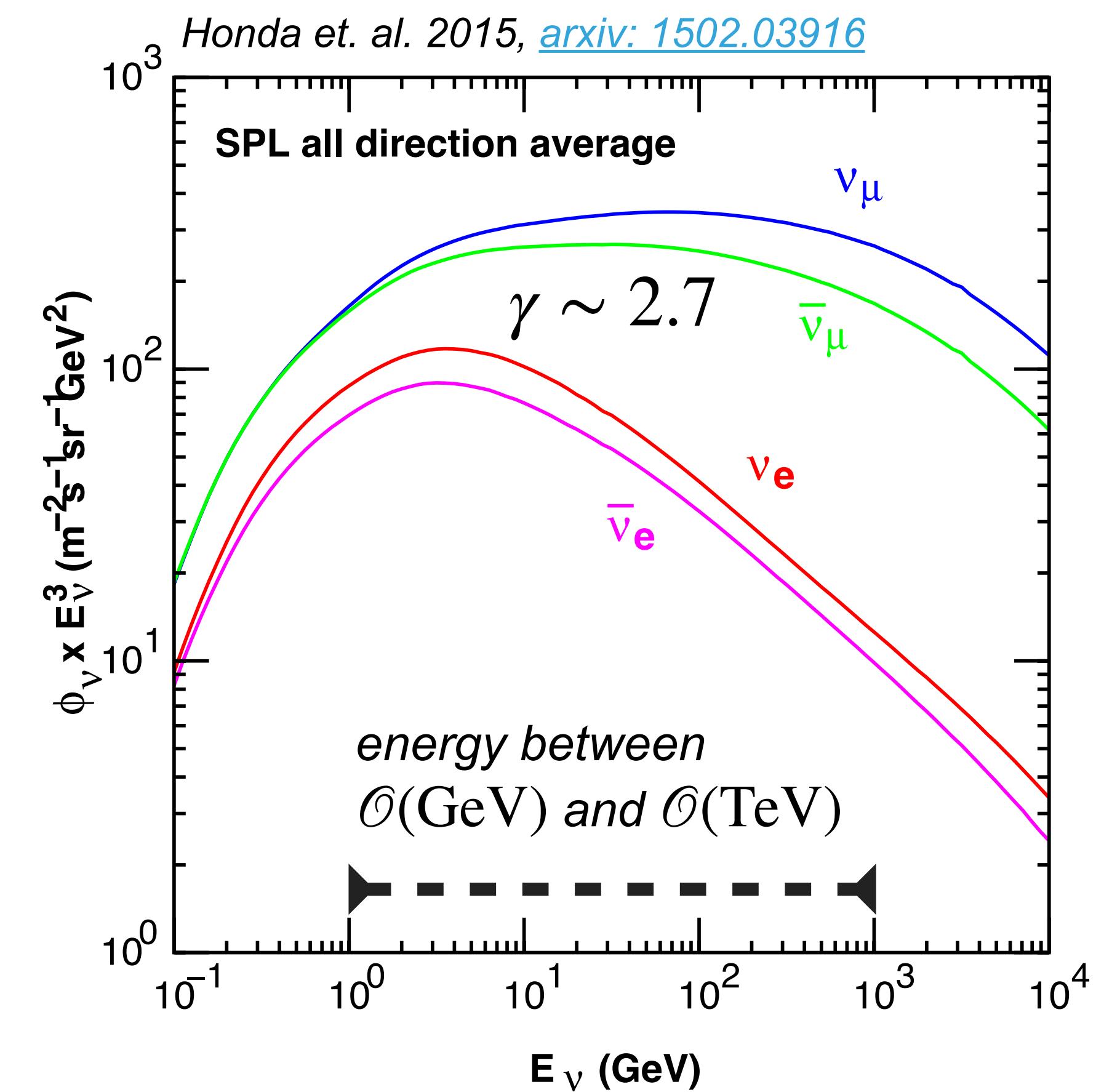
Atmospheric Neutrinos



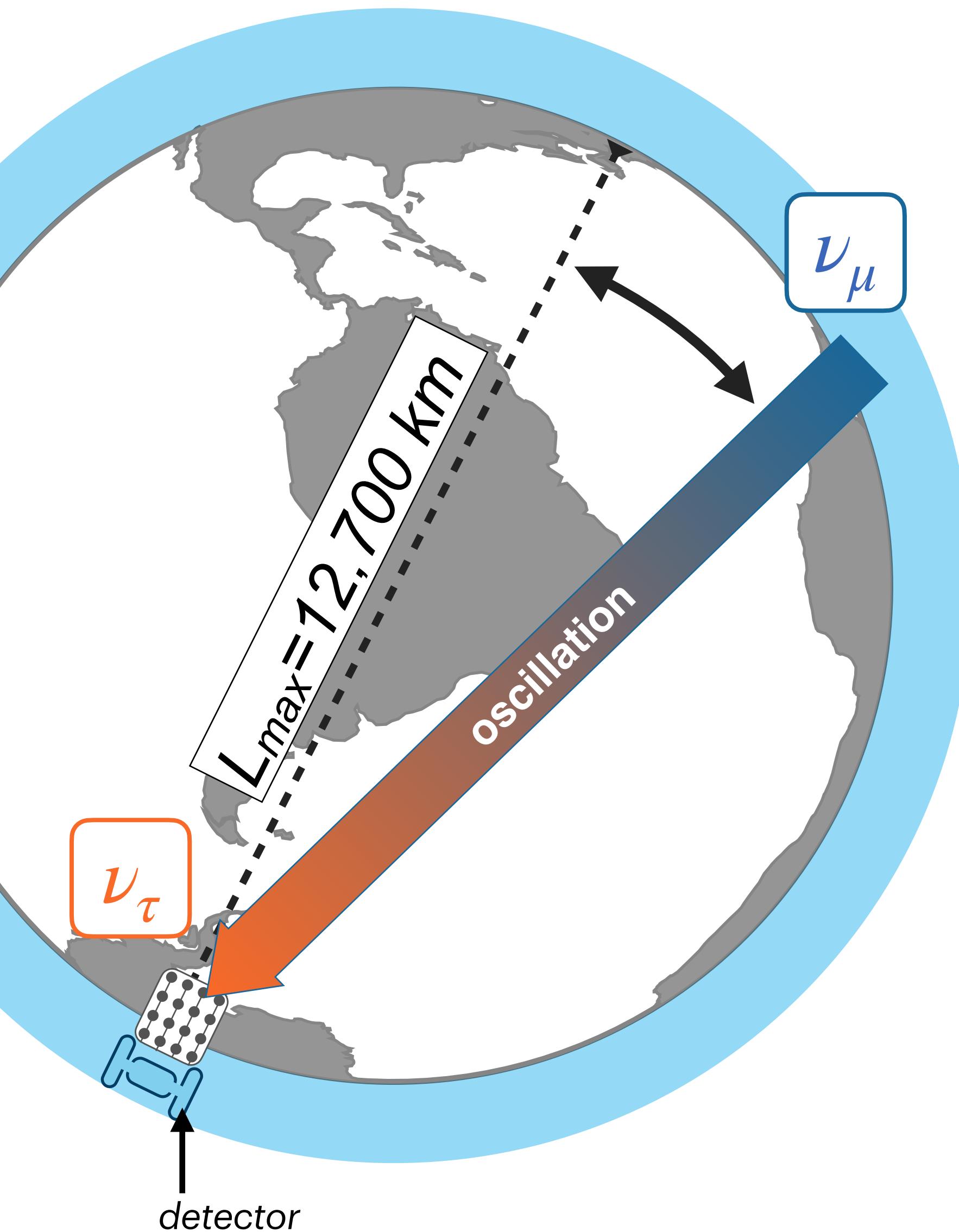
p, He, O, Fe



$$\frac{\nu_\mu + \bar{\nu}_\mu}{\nu_e + \bar{\nu}_e} \approx \begin{cases} 2 & E_\nu = 1 \text{ GeV} \\ 10 & E_\nu = 100 \text{ GeV} \end{cases}$$



Atmospheric Neutrino Oscillations



Measure **energy, zenith angle** and compute **flavor proxy**

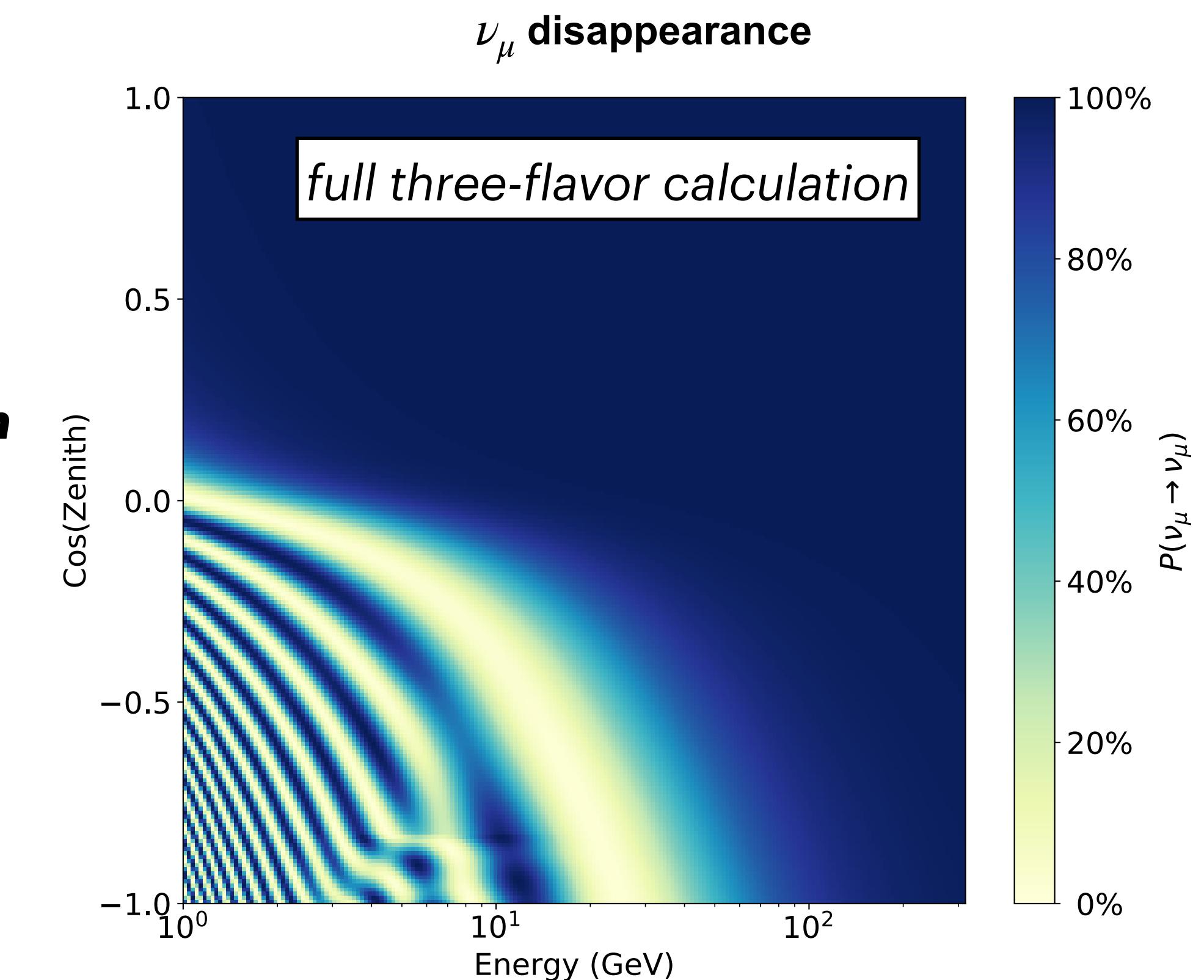


Approximate oscillation probability neglecting Δm_{12}^2 and matter effects:

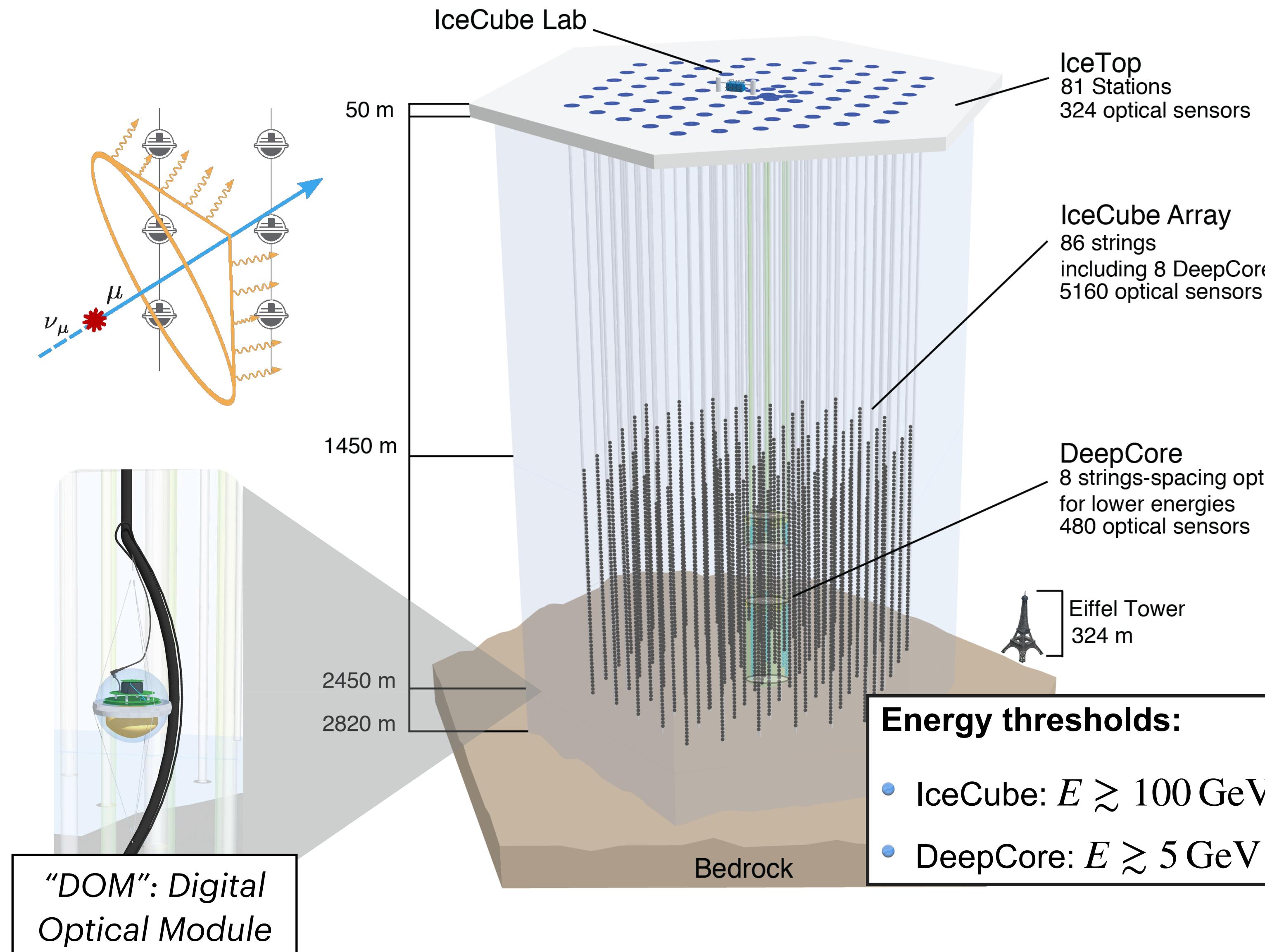
$$P(\nu_\mu \rightarrow \nu_\mu) \simeq 1 - 4 |U_{\mu 3}|^2 (1 - |U_{\mu 3}|^2) \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)$$
$$\simeq 1 - \sin^2(2\theta_{23}) \sin^2 \left(\frac{\Delta m_{31}^2 L}{4E} \right)$$

$$L = L(\theta_z)$$

ν_μ disappearance

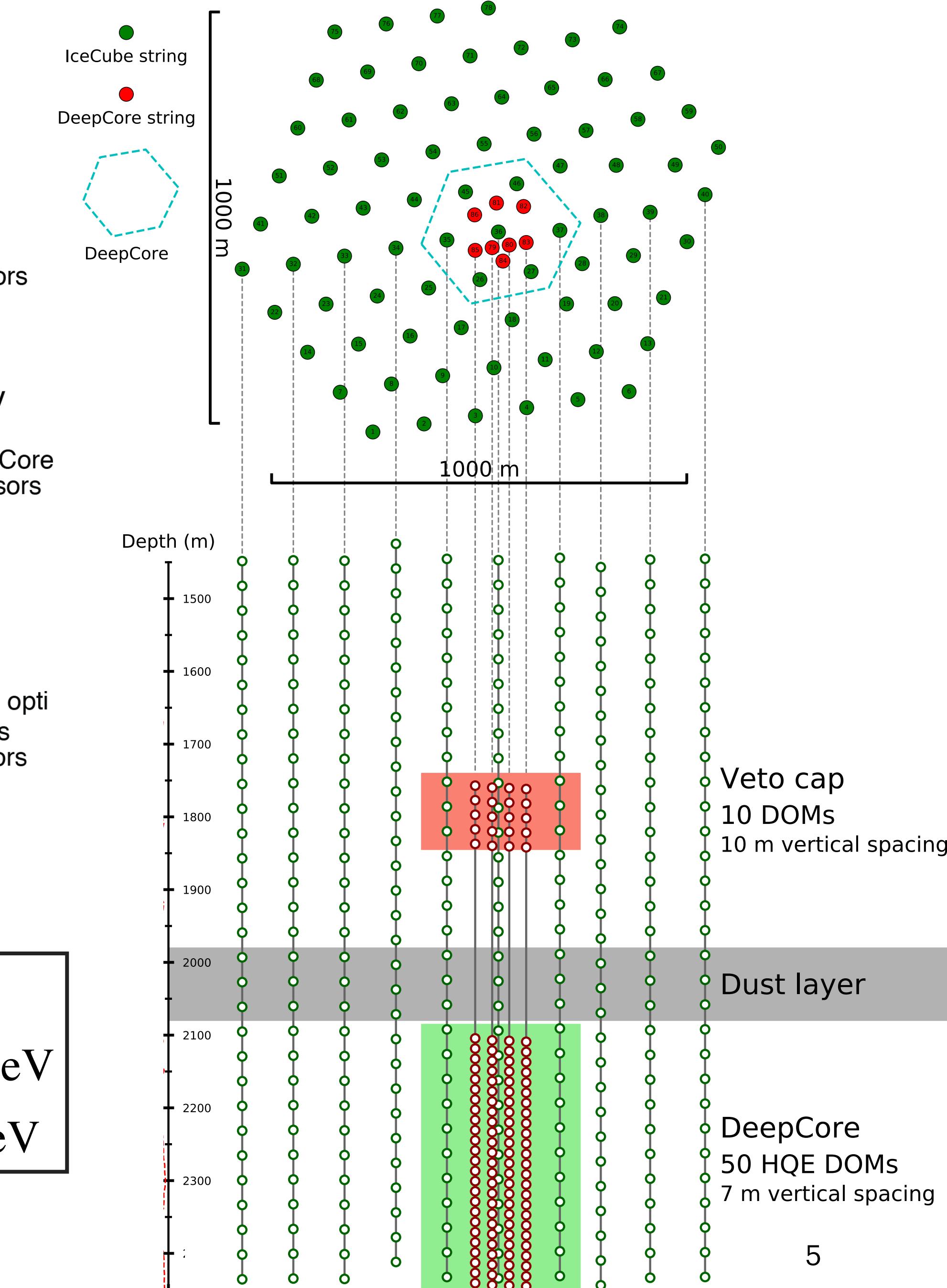


The IceCube Neutrino Observatory

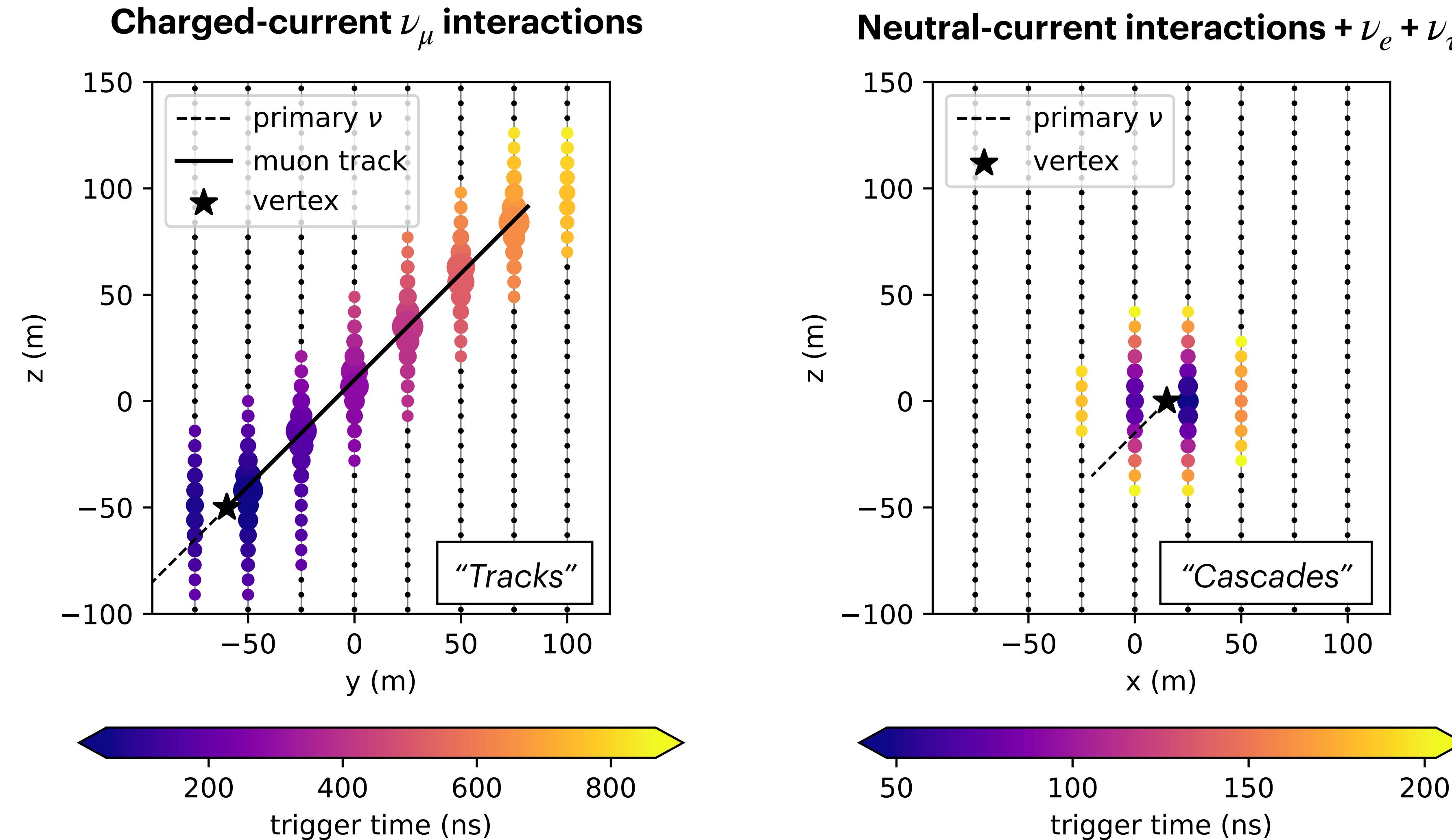


Energy thresholds:

- IceCube: $E \gtrsim 100 \text{ GeV}$
- DeepCore: $E \gtrsim 5 \text{ GeV}$



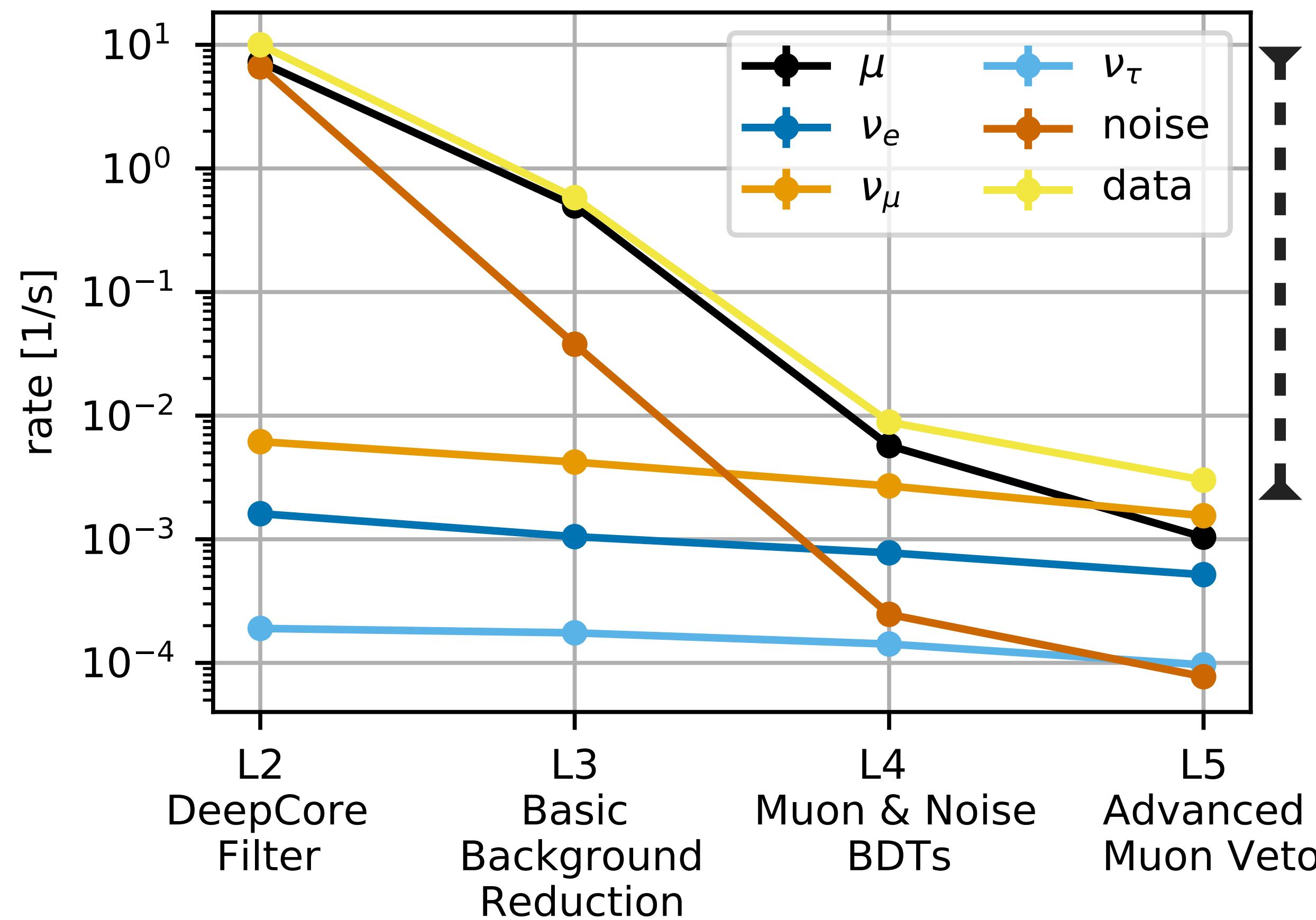
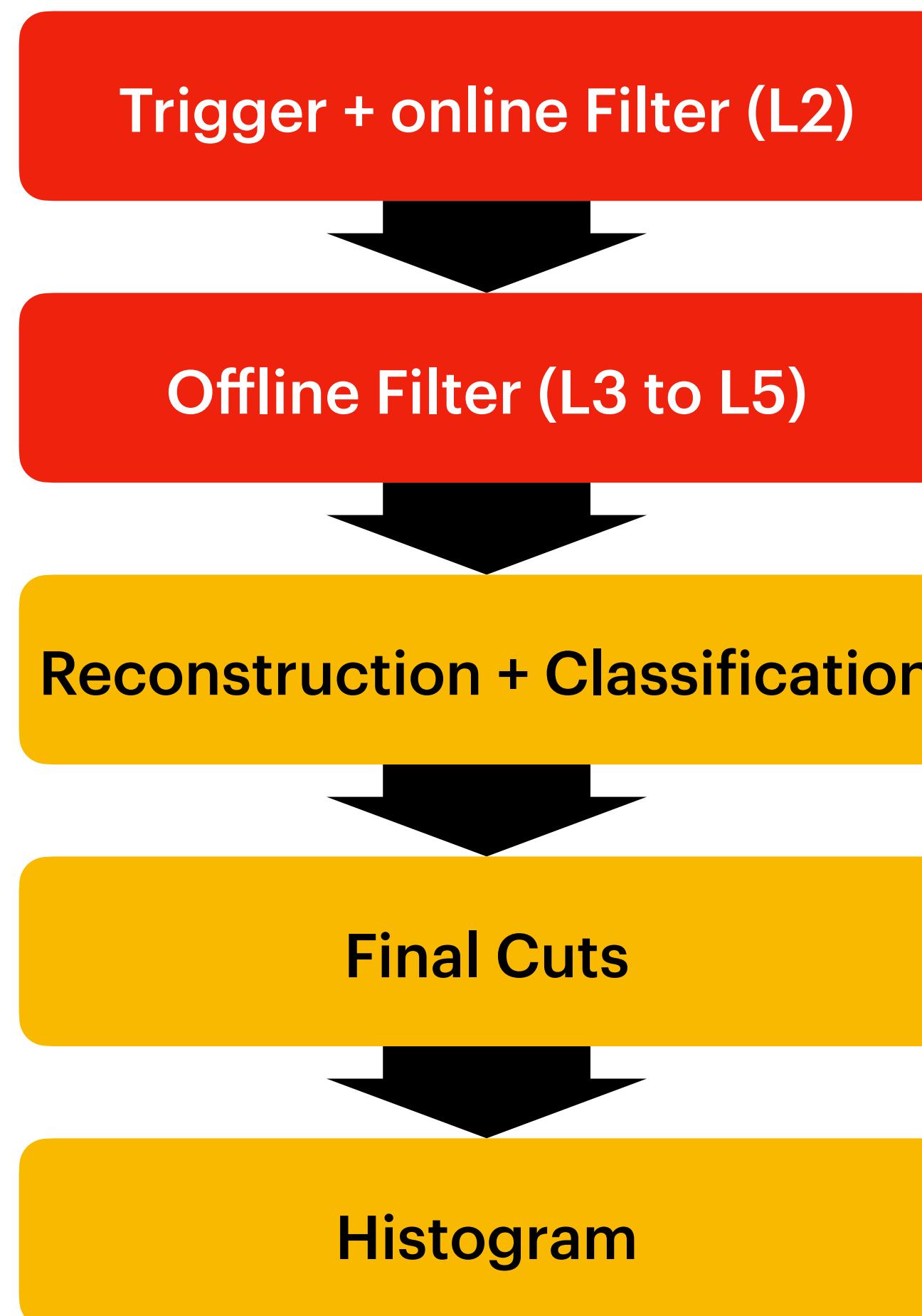
Neutrino Interactions in IceCube: Idealized



DeepCore Event Sample

Trigger and Filter

Reducing background from noise and atm. muons

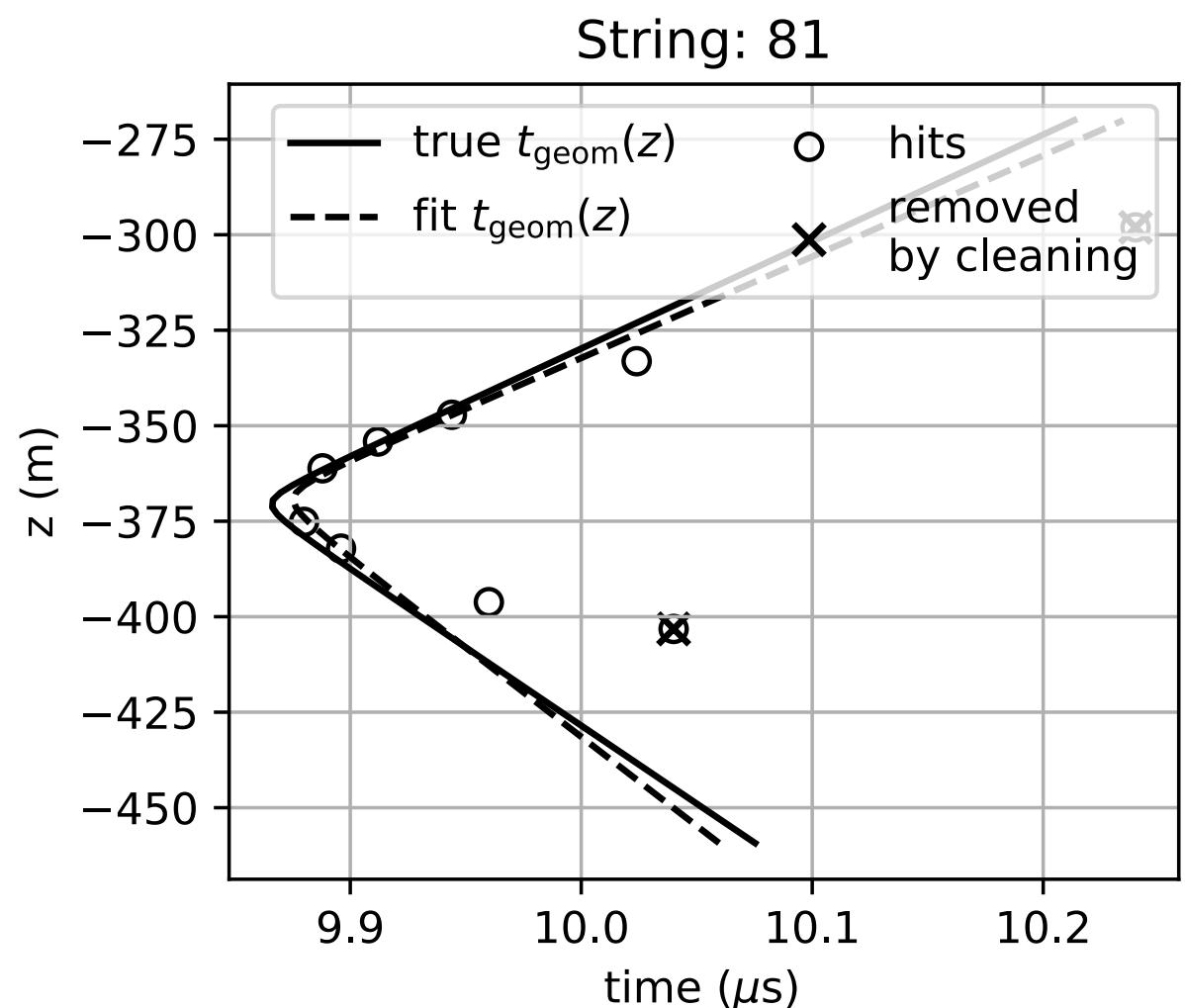


> 3 orders of magnitude background reduction!

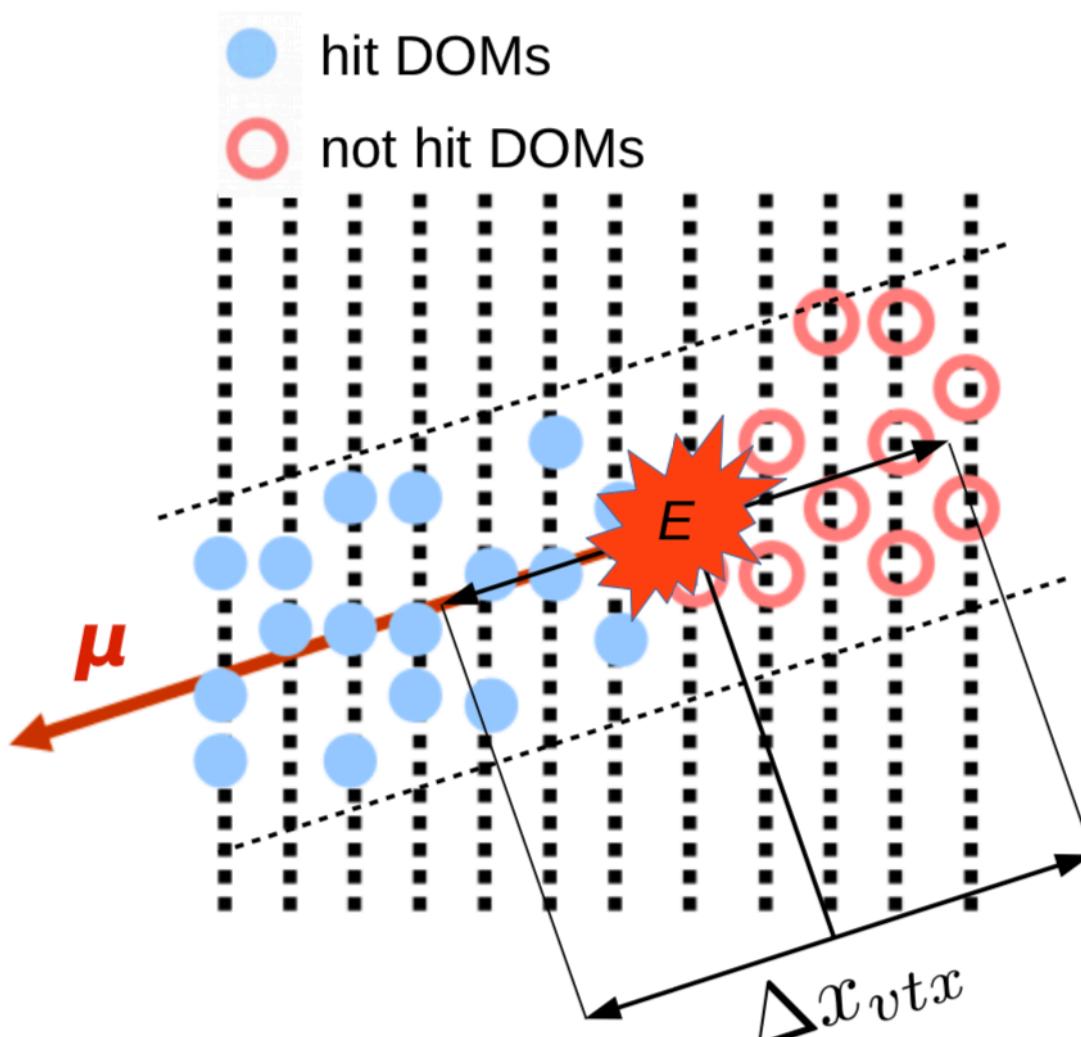
Two Samples



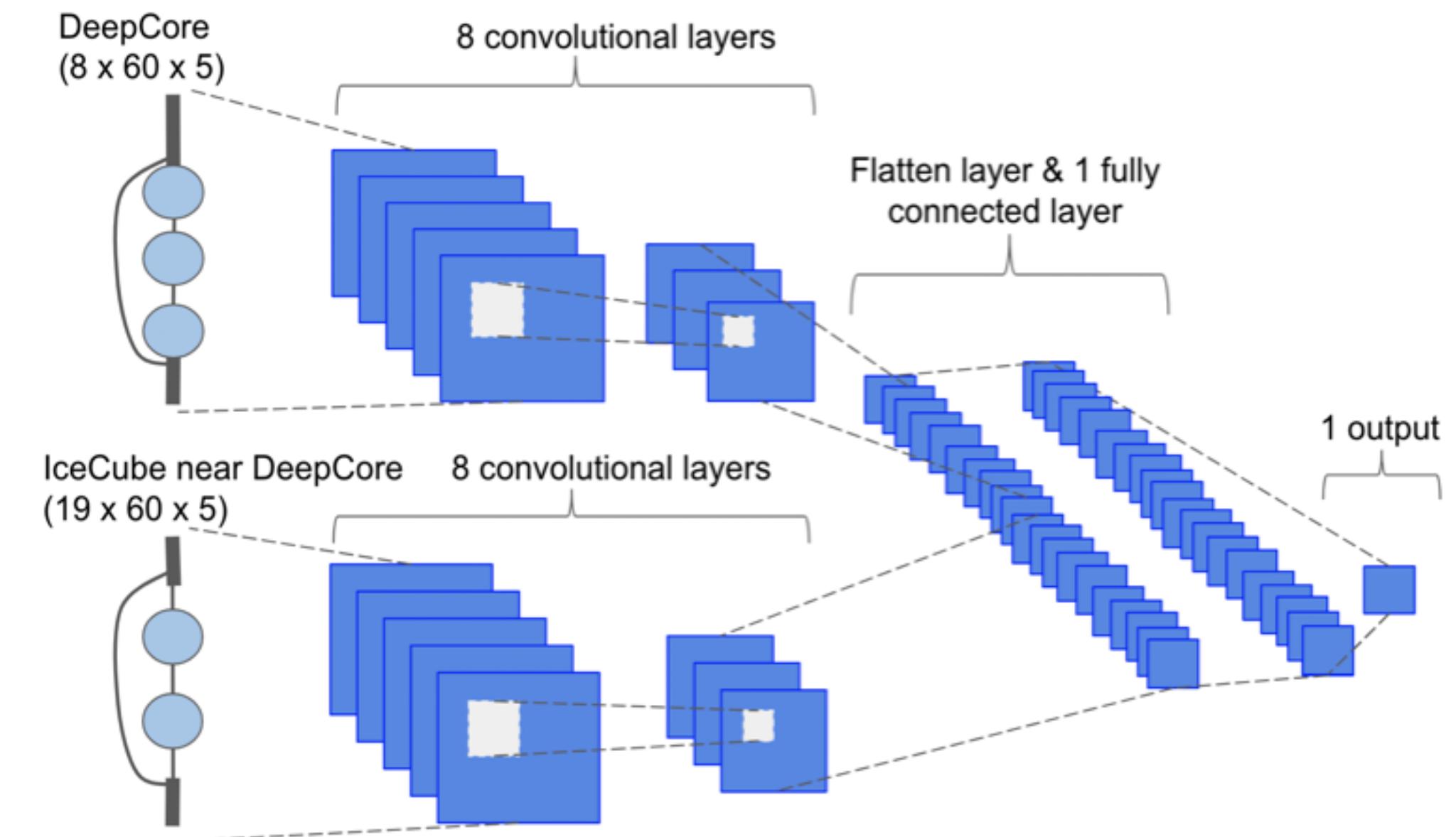
Geometric Track Fit



Energy Reconstruction



Convolutional Neural Network



Reconstruction paper: [arXiv:2203.02303](https://arxiv.org/abs/2203.02303)

- Reconstructs only very clean track-like events
- Goodness-of-fit variables used in BDT as PID

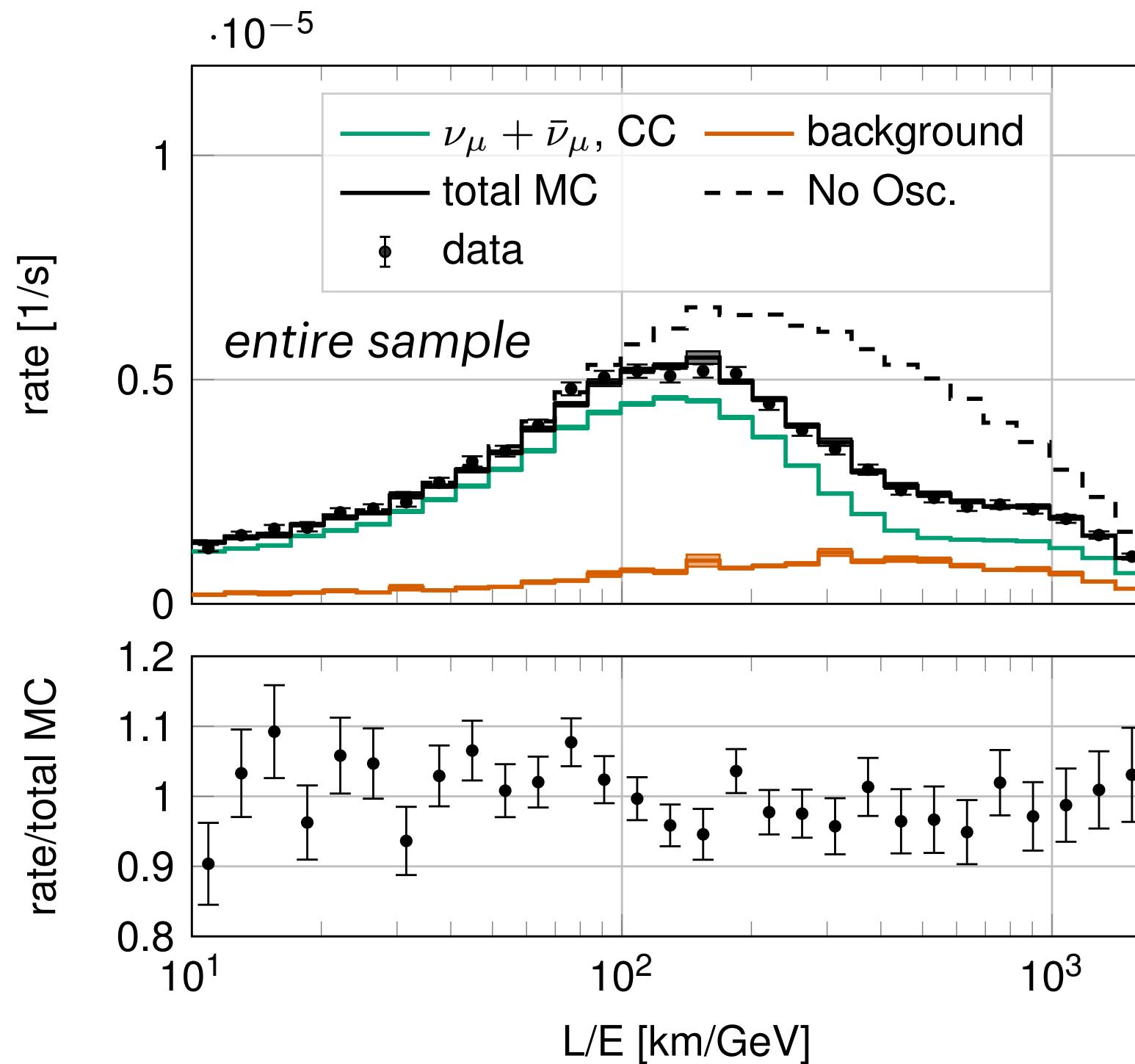
- Machine Learning model trained on simulation
- Zenith, energy, and PID score from one model

Two Samples

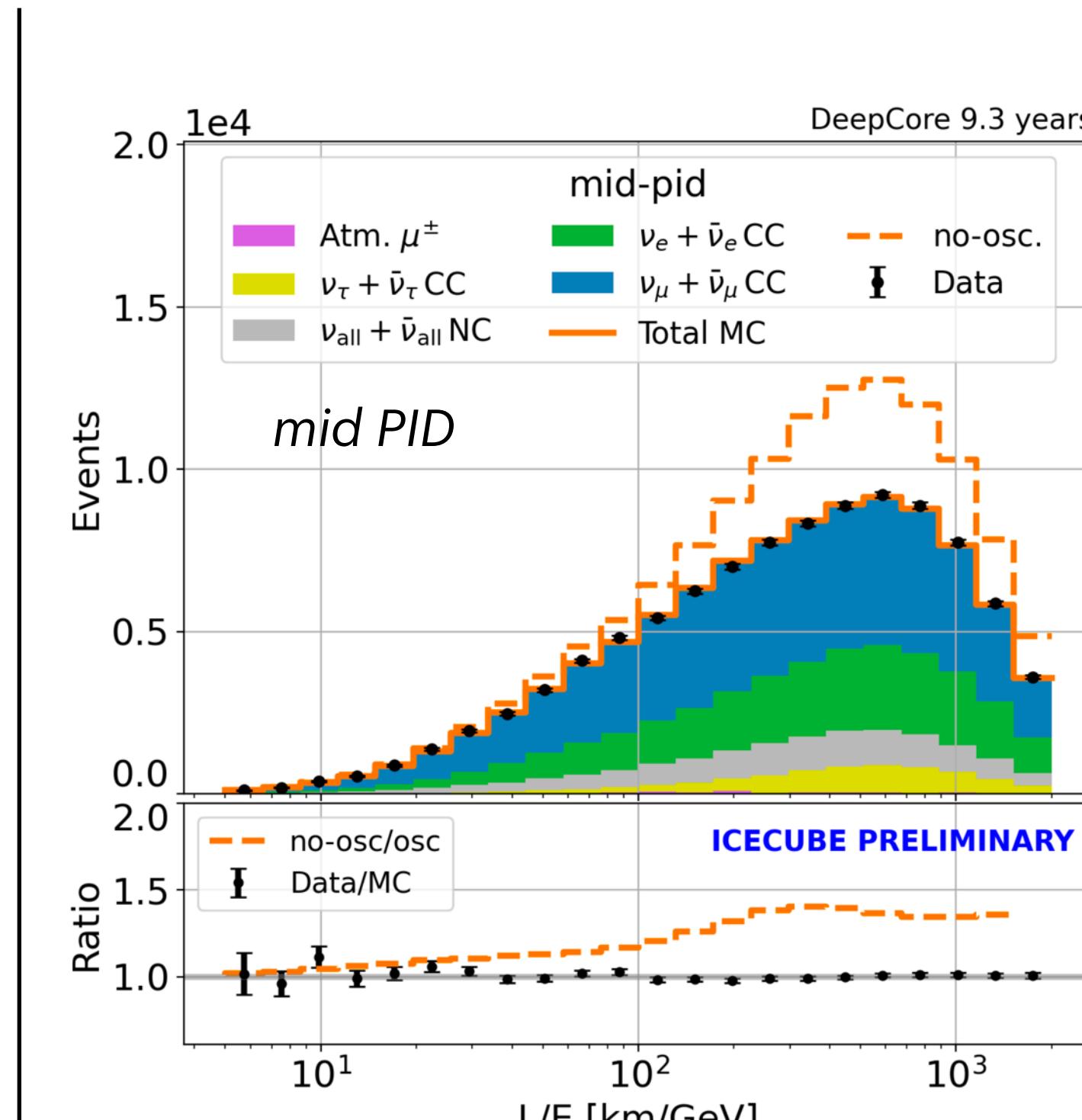
“Golden Events Sample”

L5 Filtered Sample

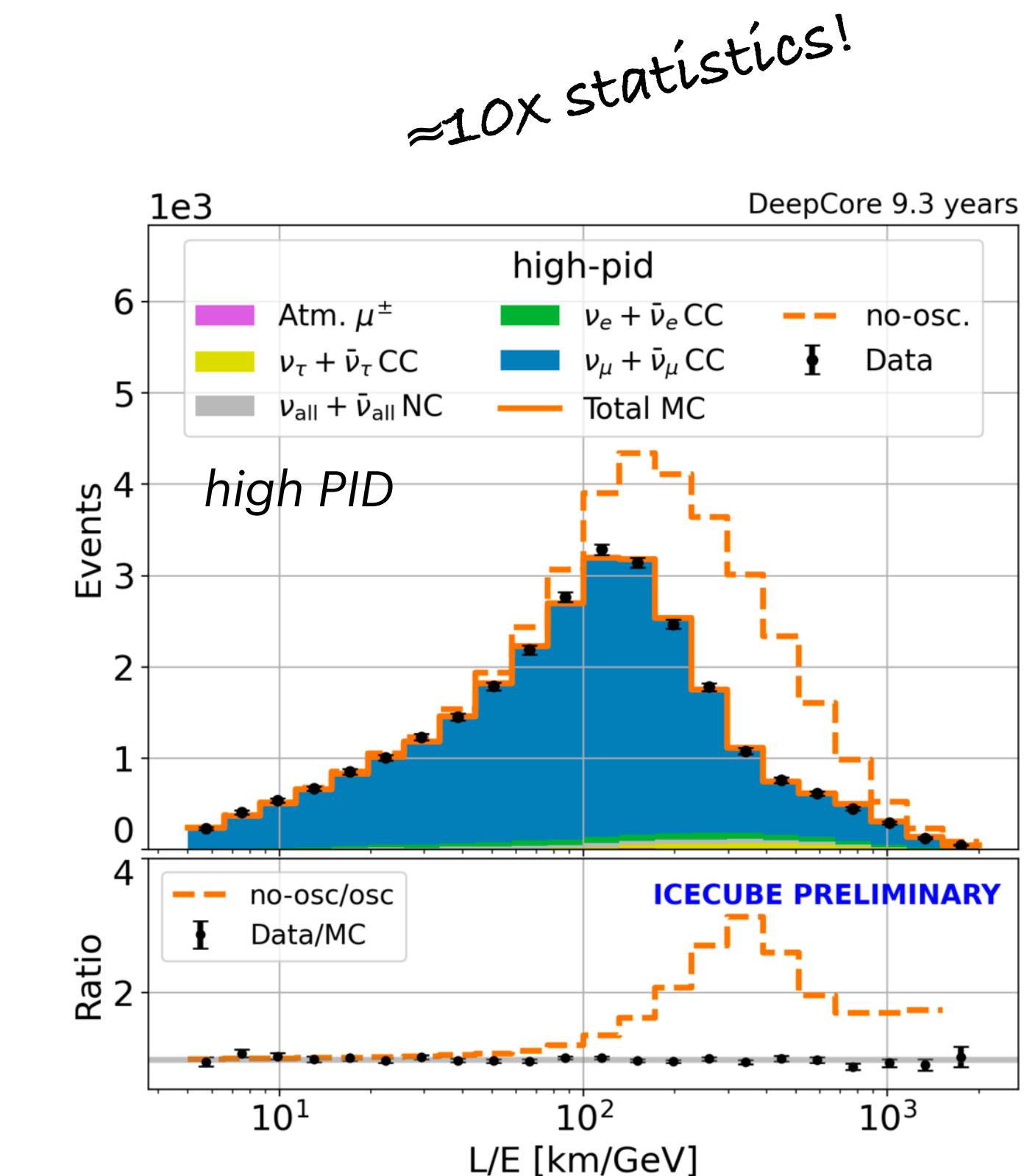
CNN Reconstructed Sample



Total: 21 914 observed events
arXiv:2304.12236

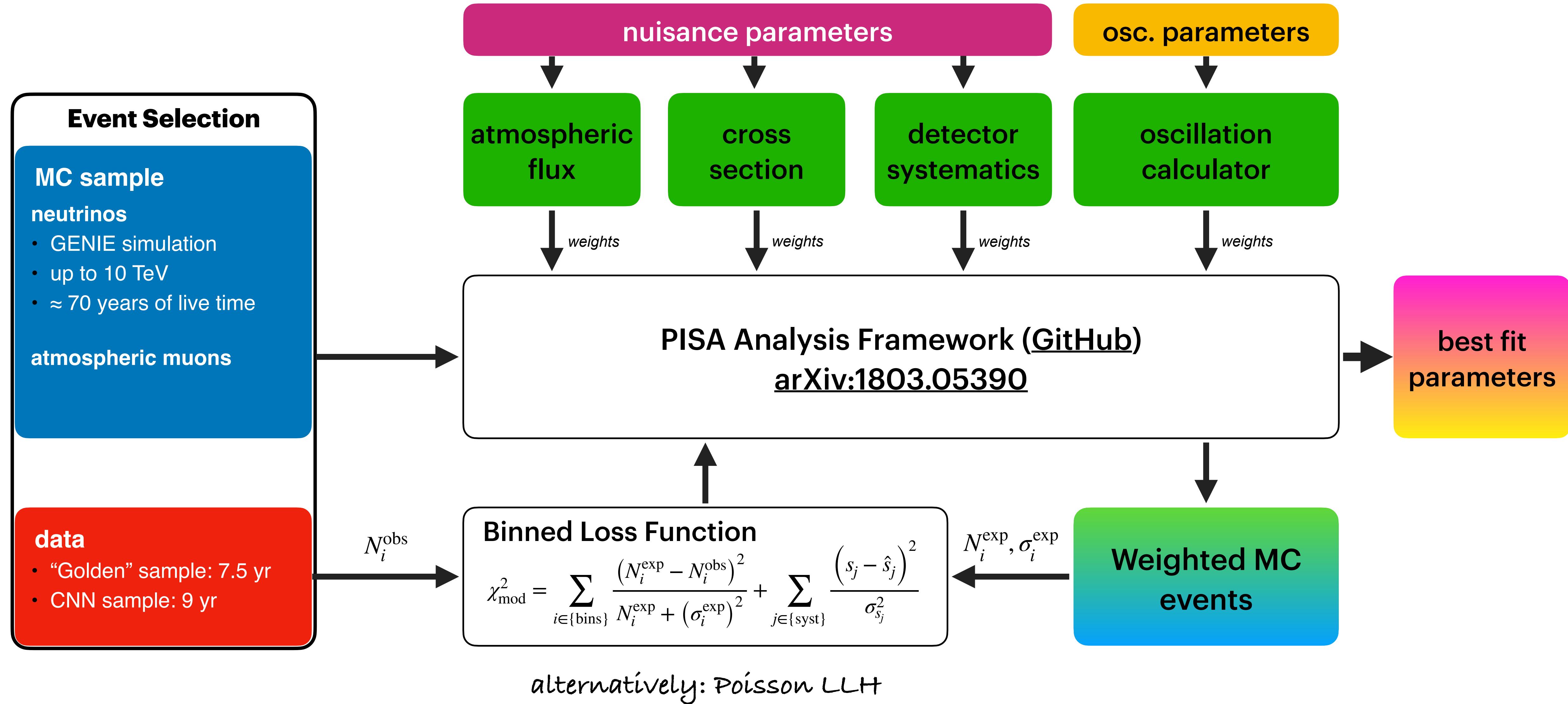


Total: 150 257 observed events
Proceedings: <https://pos.sissa.it/444/1143/pdf>



$\approx 10\times$ statistics!

Analysis Setup



Systematic Uncertainties

Flux + Cross-section

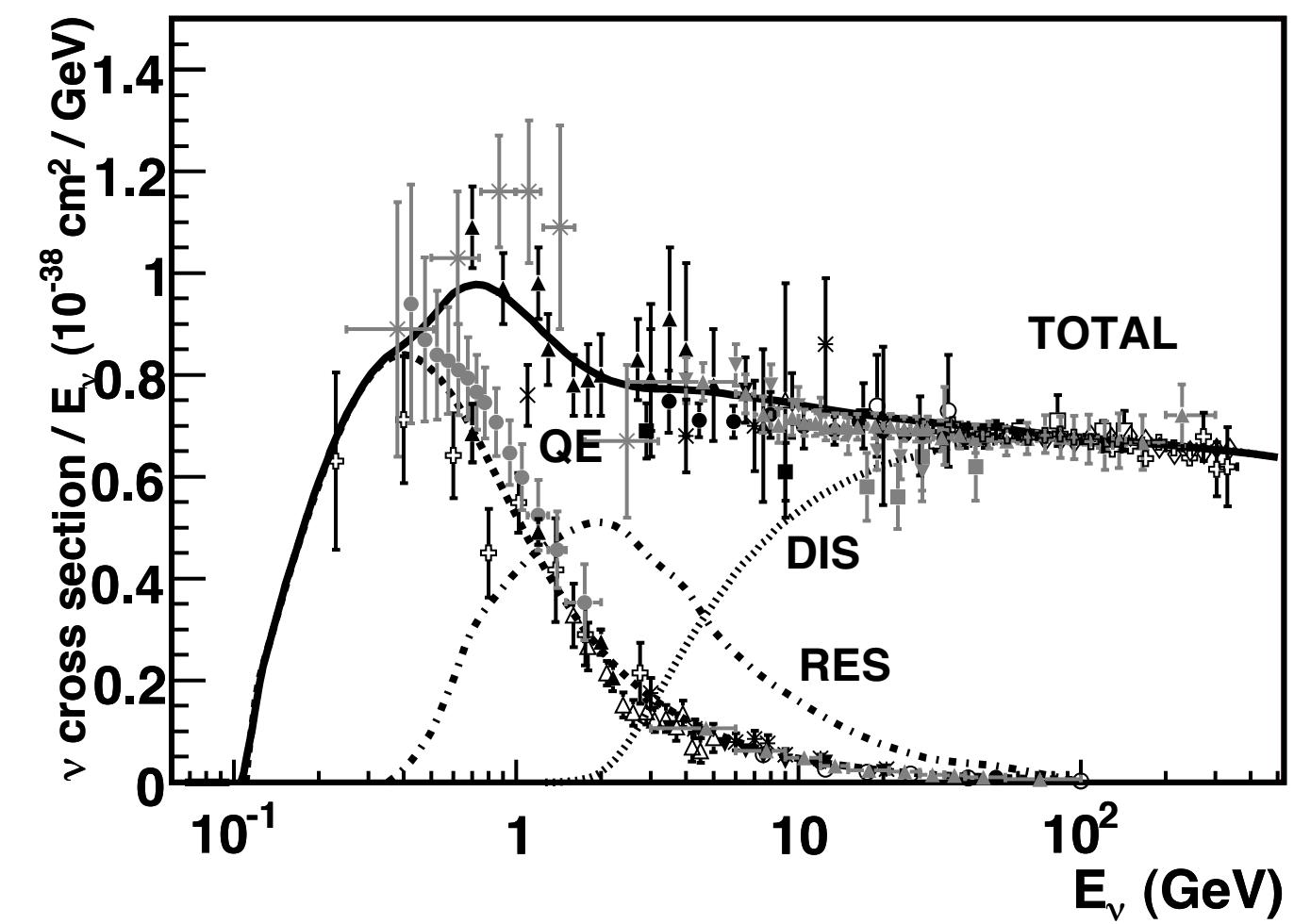
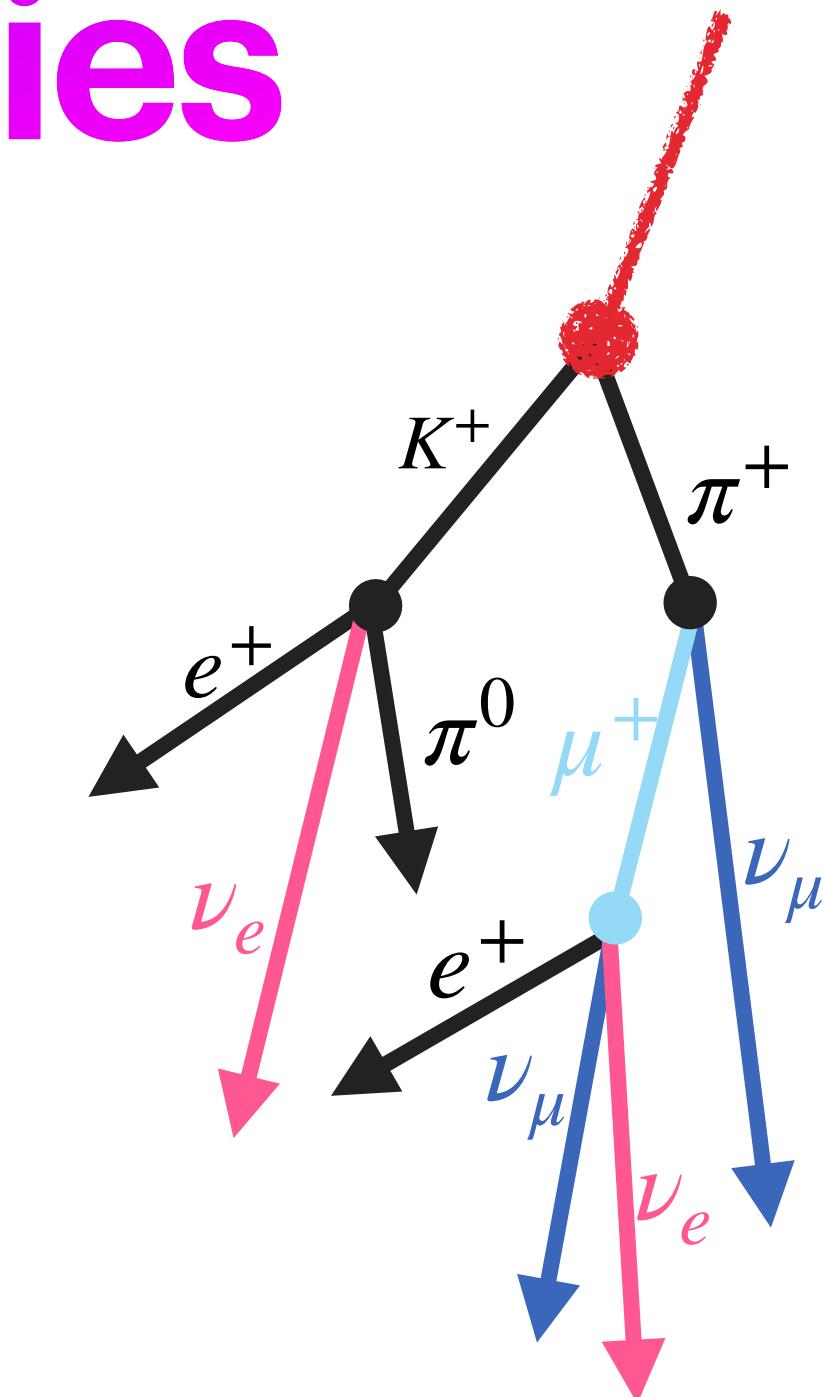
Atmospheric Flux

- Baseline flux by Honda et al. modified by spectral index ($\Delta\gamma$) and meson (K^\pm, π^+, π^-) production scale factors

$$\Phi_{\text{sys}} = (\Phi_{\text{nom}} \cdot \Delta\Phi_{\text{nom}}) + \left(b \cdot \frac{d\Phi_{\text{nom}}}{dB} \right)$$

Cross-section

- Axial masses for resonant and quasi-elastic scattering (varied in GENIE event generator)
- DIS uncertainty interpolating between GENIE and CSMS cross-sections

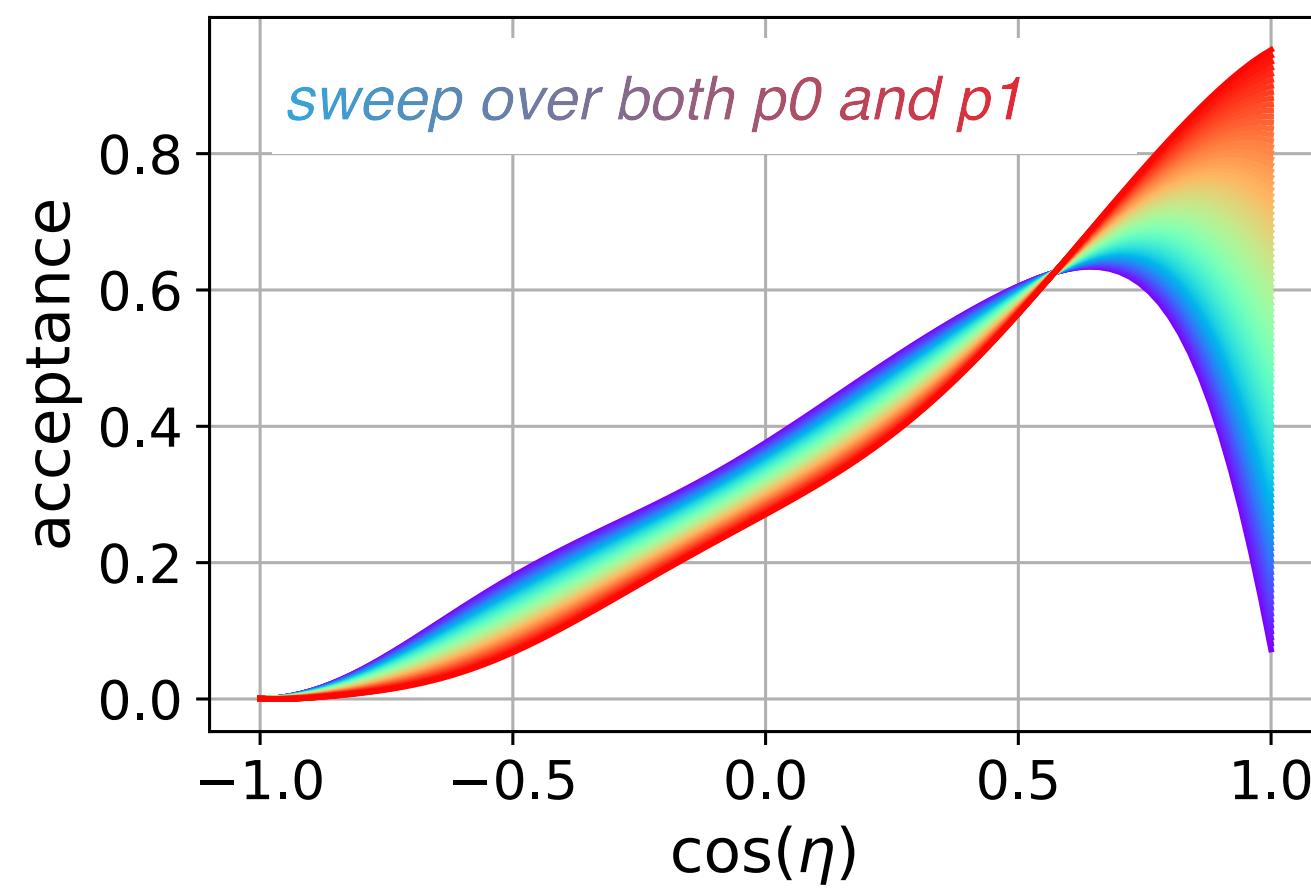


Formaggio et al. (2013)

Detector Properties

DOM Efficiency, Hole Ice, and Bulk Ice Parameters

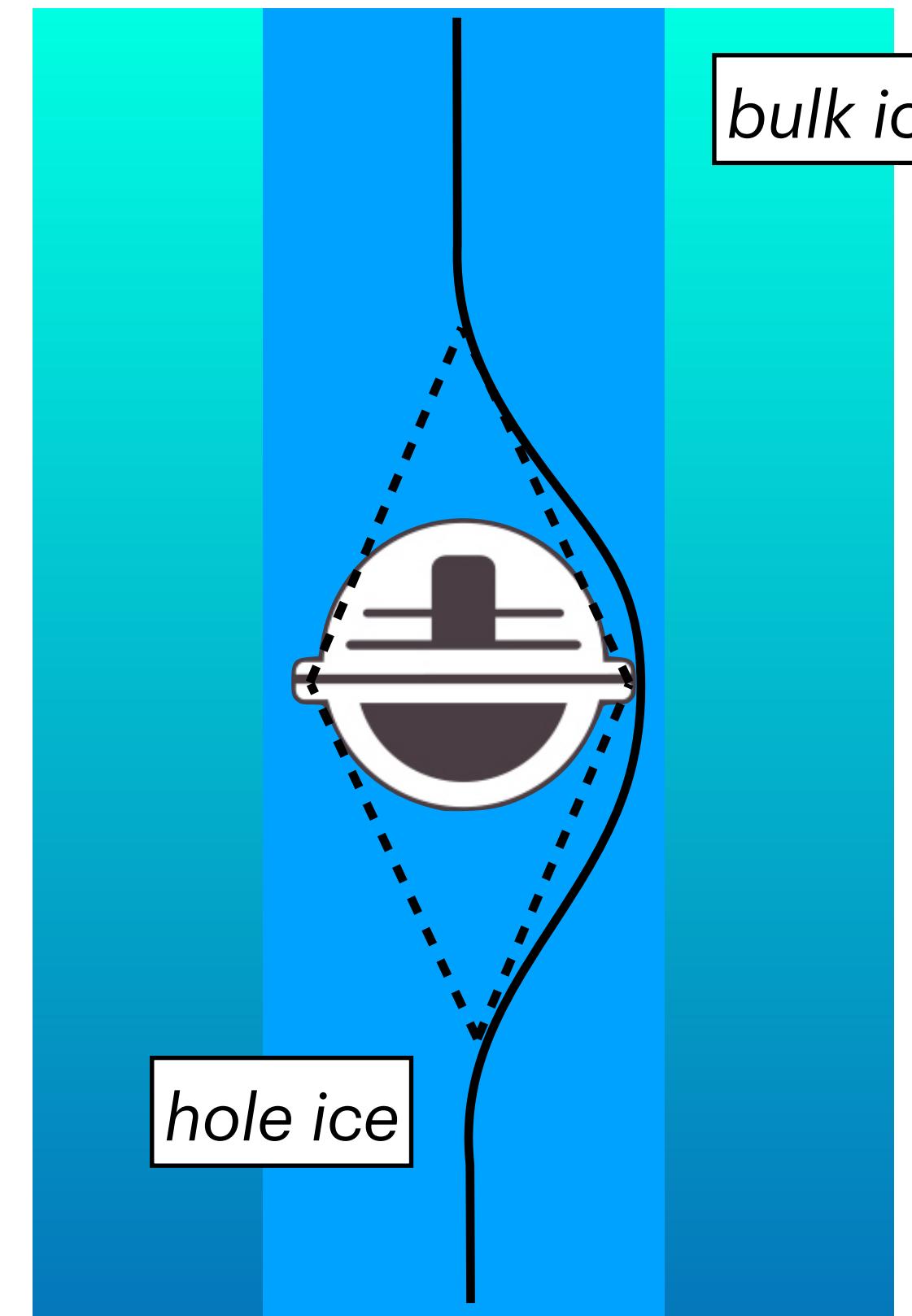
Hole Ice



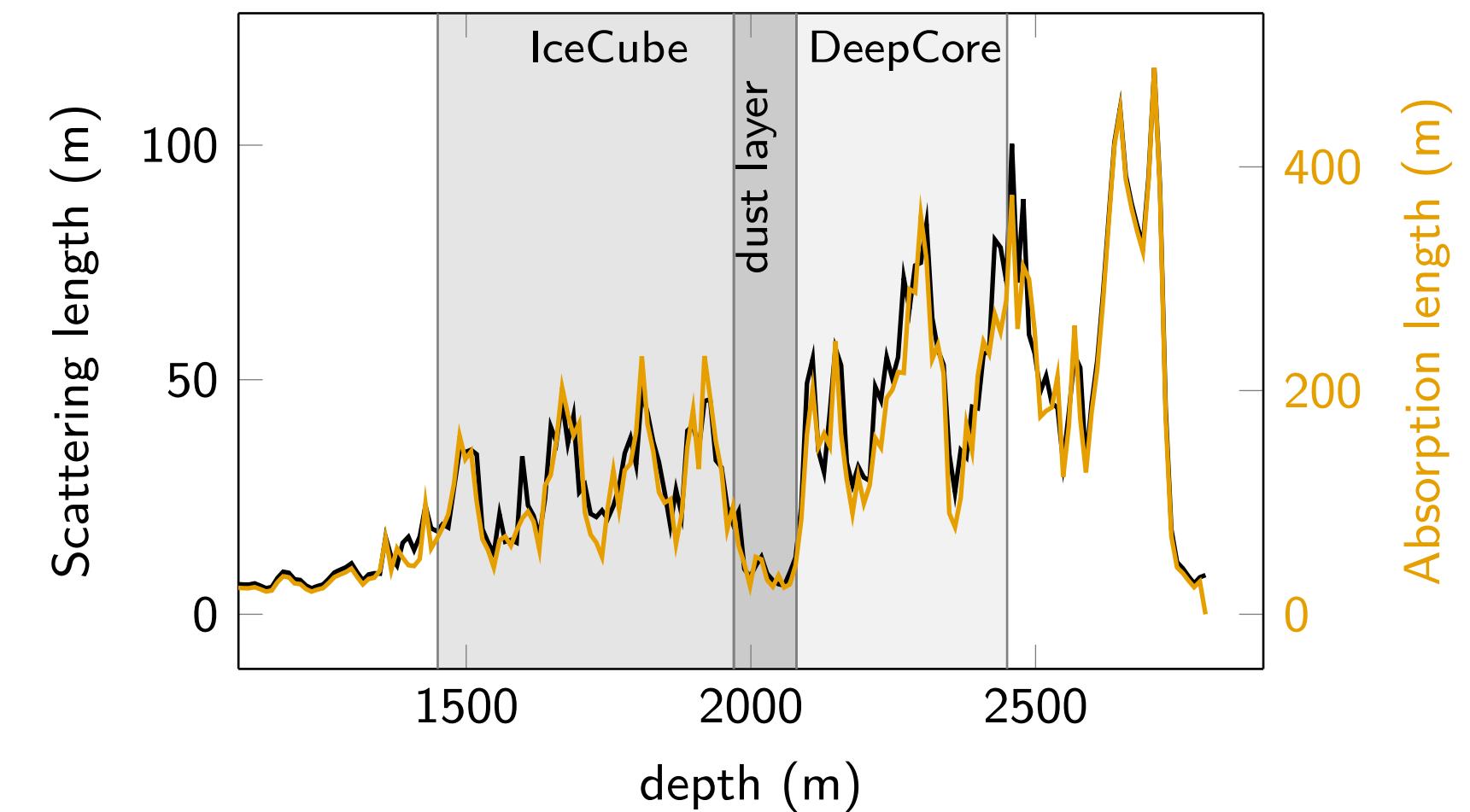
- Two parameters modifying angular acceptance due to hole-ice

DOM Efficiency

- Global scale parameter



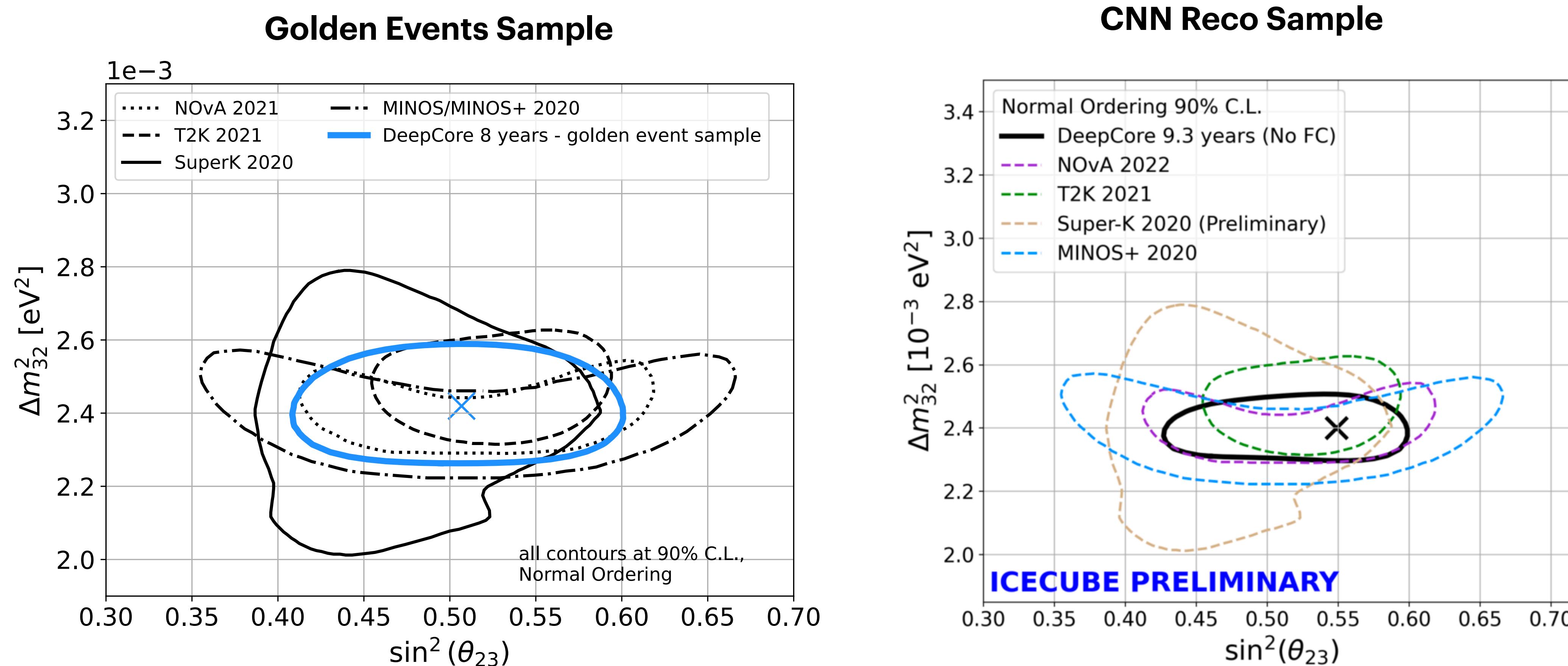
Ice Scattering and Absorption



- Global scales on scattering and absorption coefficients

Results of Three-Flavor Measurement

Constraints on atm. mass splitting and mixing angle



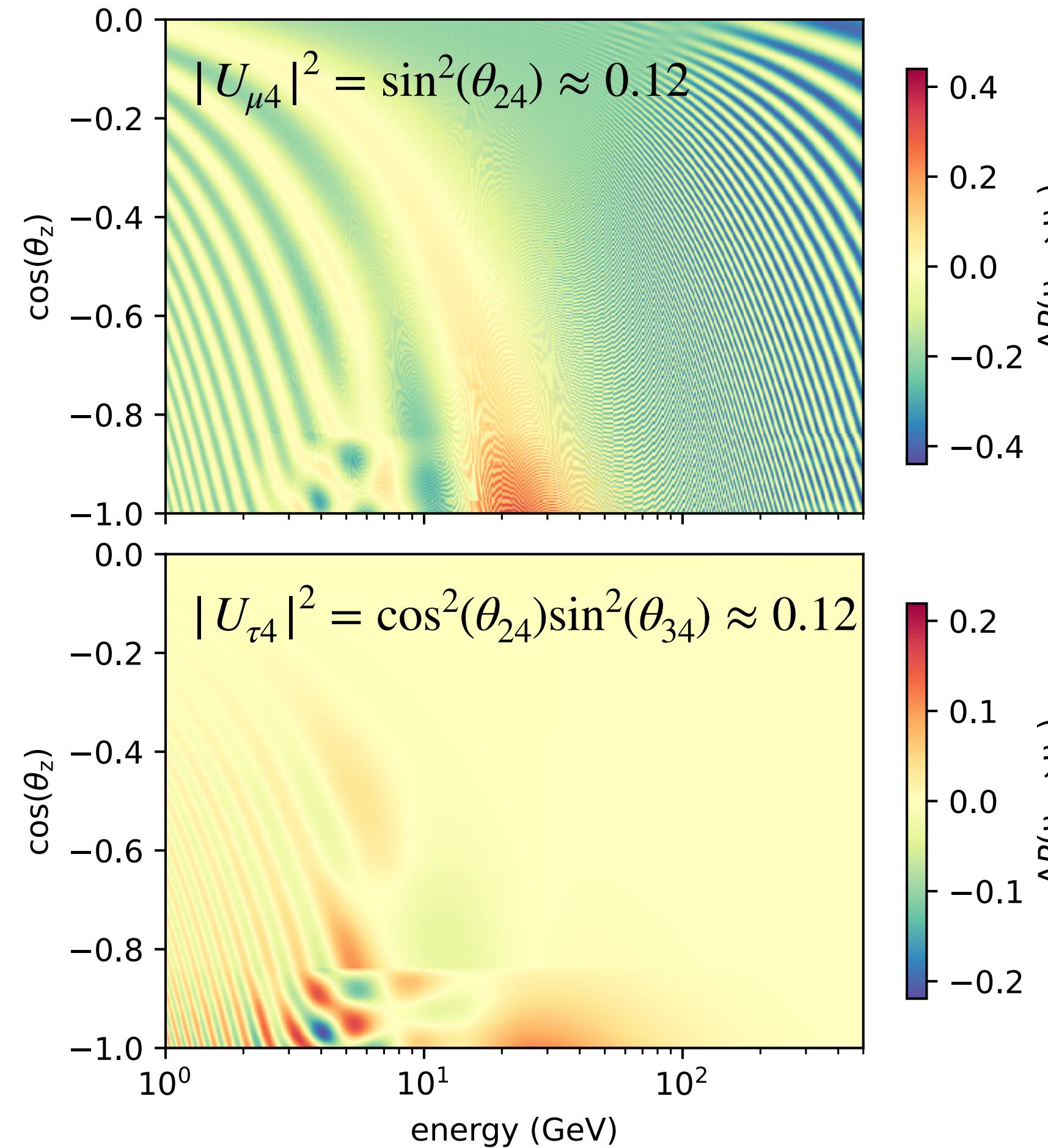
[arXiv:2304.12236](https://arxiv.org/abs/2304.12236)

Proceedings: <https://pos.sissa.it/444/1143/pdf>

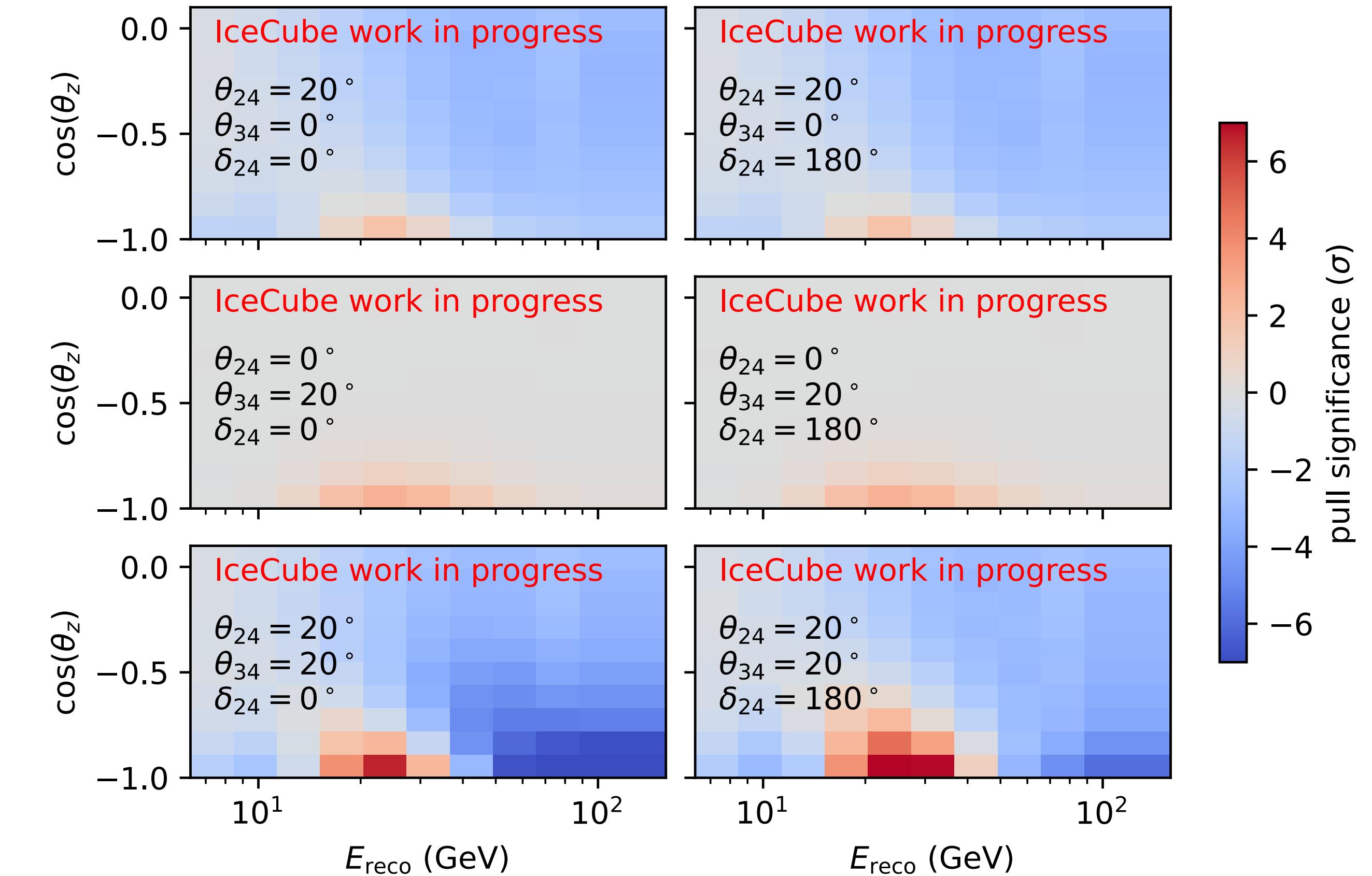
eV-scale Sterile Neutrino Search

Using the Golden Sample

Signal at $\Delta m_{41}^2 = 1 \text{ eV}^2$

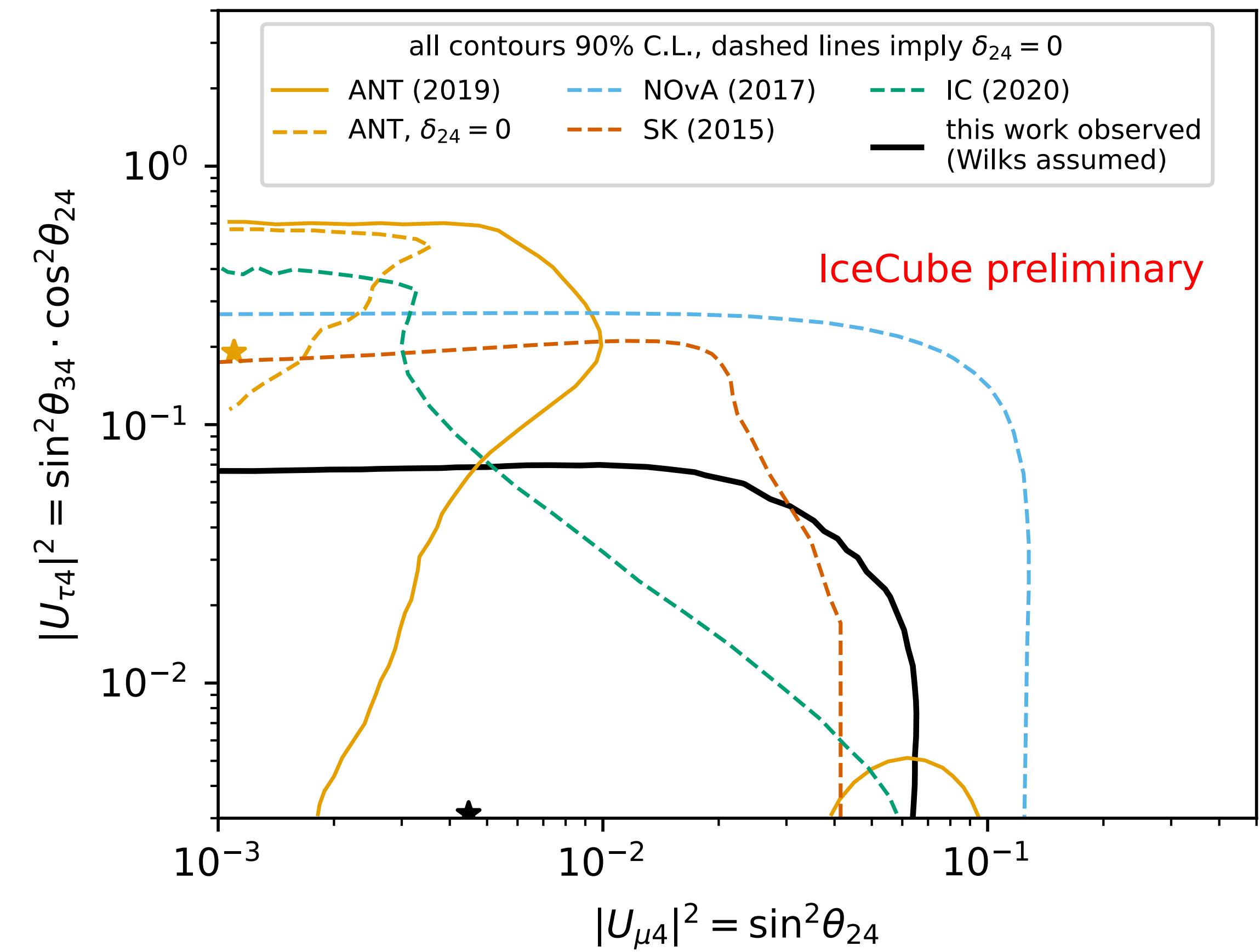


Signal Significance in Analysis Binning



Sterile Search Results

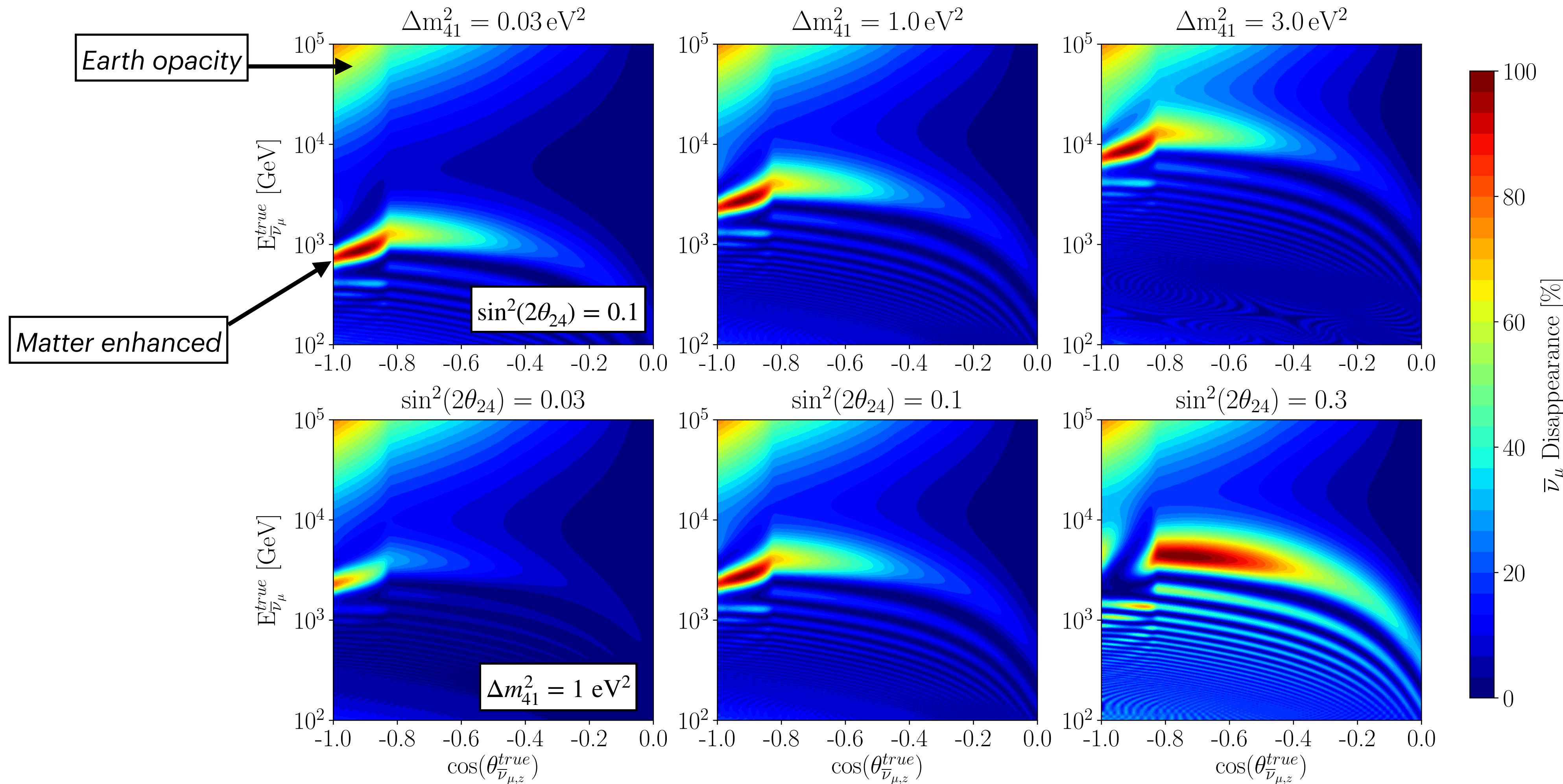
- **No signal of sterile neutrinos observed**
- Marginalized limits (assuming Wilks' theorem with 1 d.o.f.):
 - $|U_{\mu 4}|^2 < 0.0534$ (90 % C . L.), 0.0752 (99 % C . L.)
 - $|U_{\tau 4}|^2 < 0.0574$ (90 % C . L.), 0.0818 (99 % C . L.)
- Feldman-Cousins spot-checks suggest these are conservative limits
- NMO approx. degenerate with sign of $\cos(\delta_{24})$
→ result is effectively marginalized over NMO
- Constraint on $|U_{\tau 4}|^2$ stronger than *global unitarity constraint* (Hu et al. 2021)



Measurements using TeV-scale Atmospheric Neutrinos

Matter-Enhanced Sterile Neutrino Search

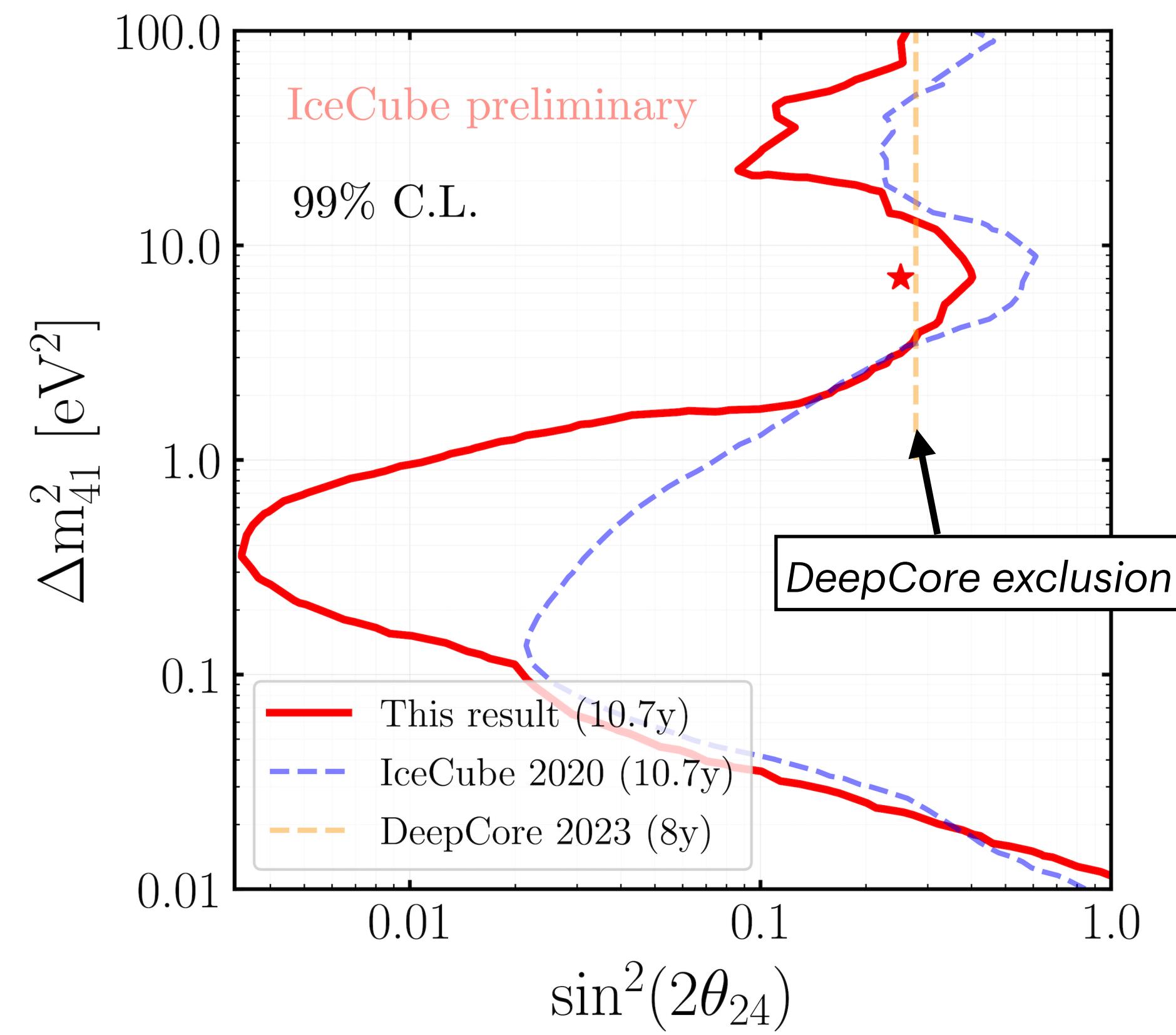
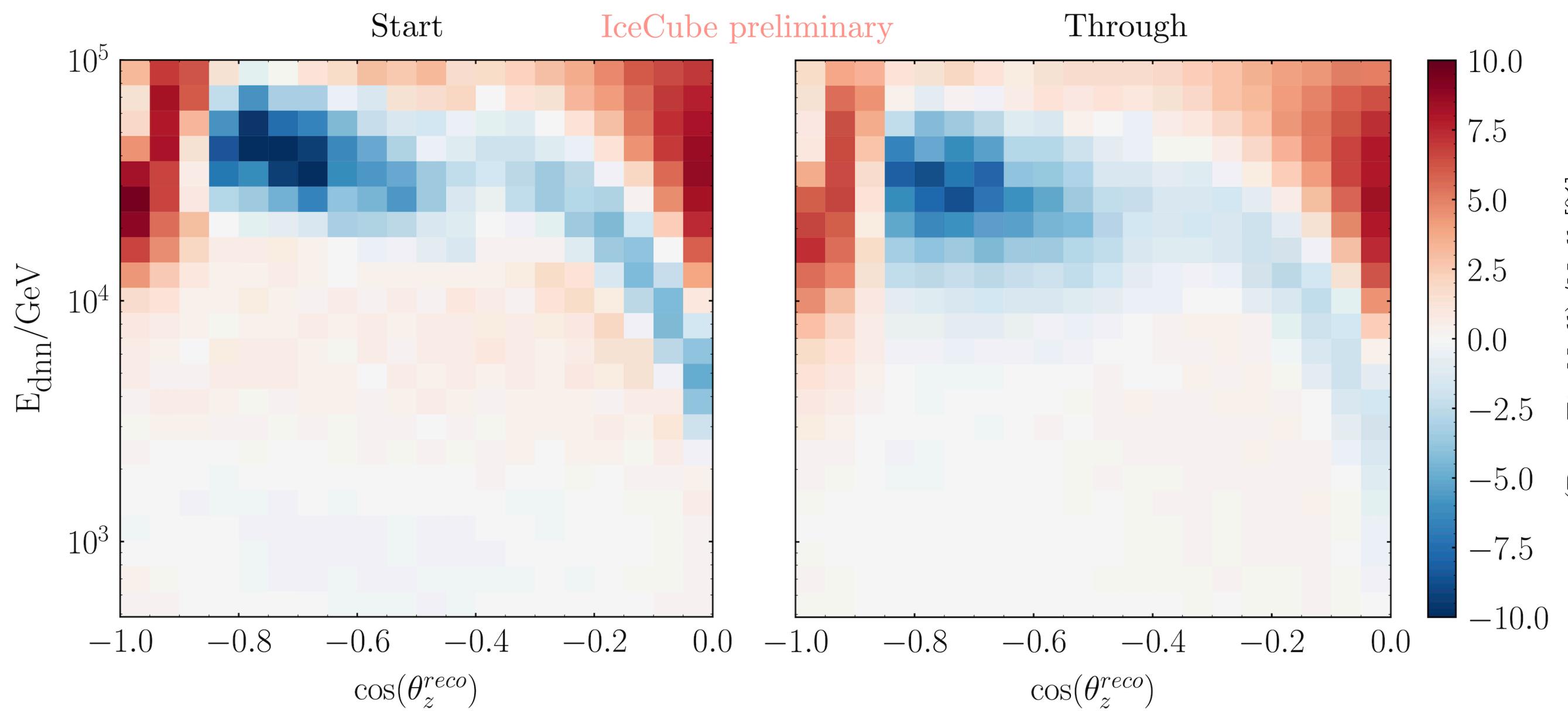
Exploiting the MSW effect and Parametric Resonance



Matter Enhanced Sterile Search: Results

Improved over the 2020 result

- Updated selection and energy estimate with ML tools
- Atmospheric flux treatment DAEMONFLUX (PRD107, 123037)
- Result compatible with previous analysis

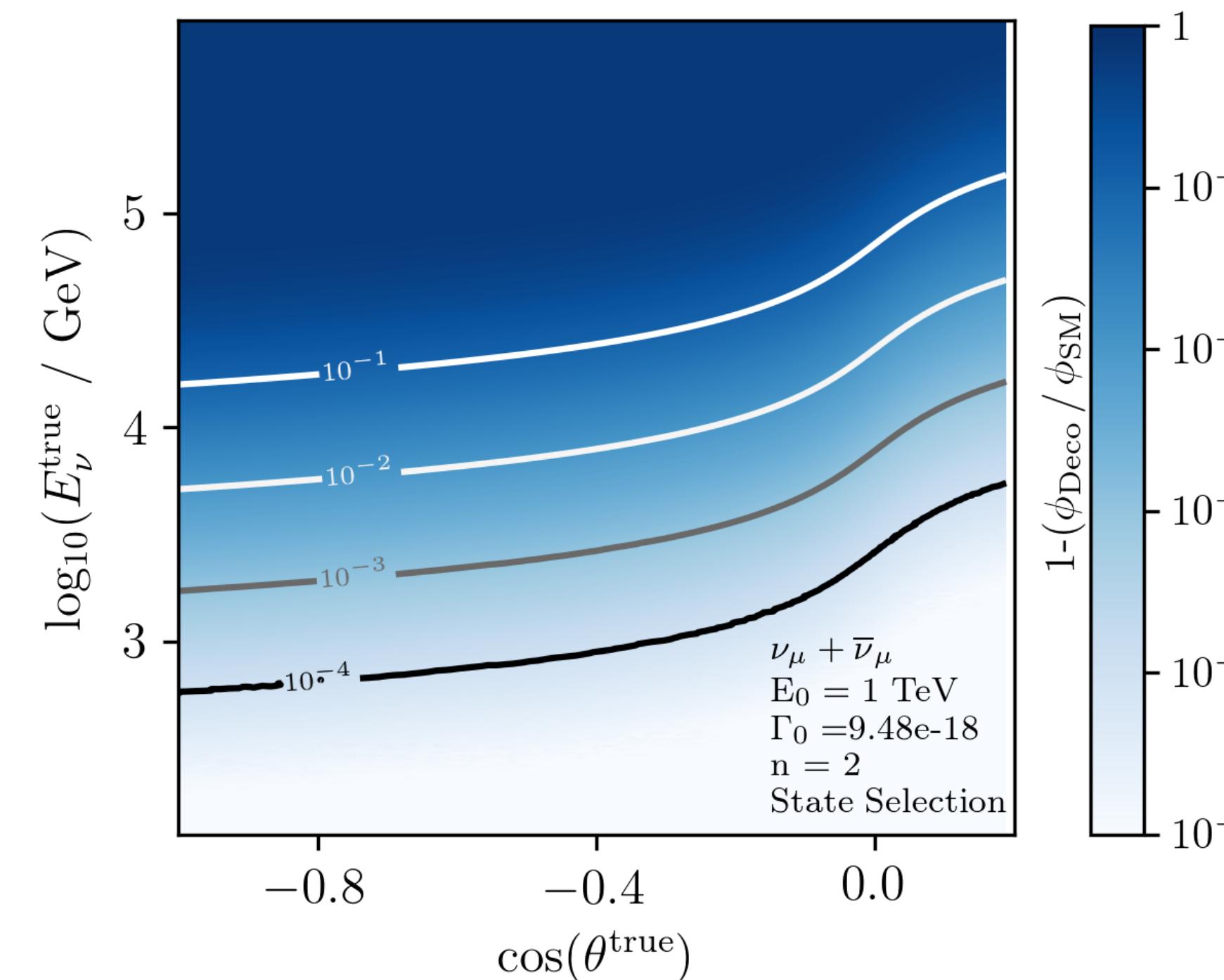
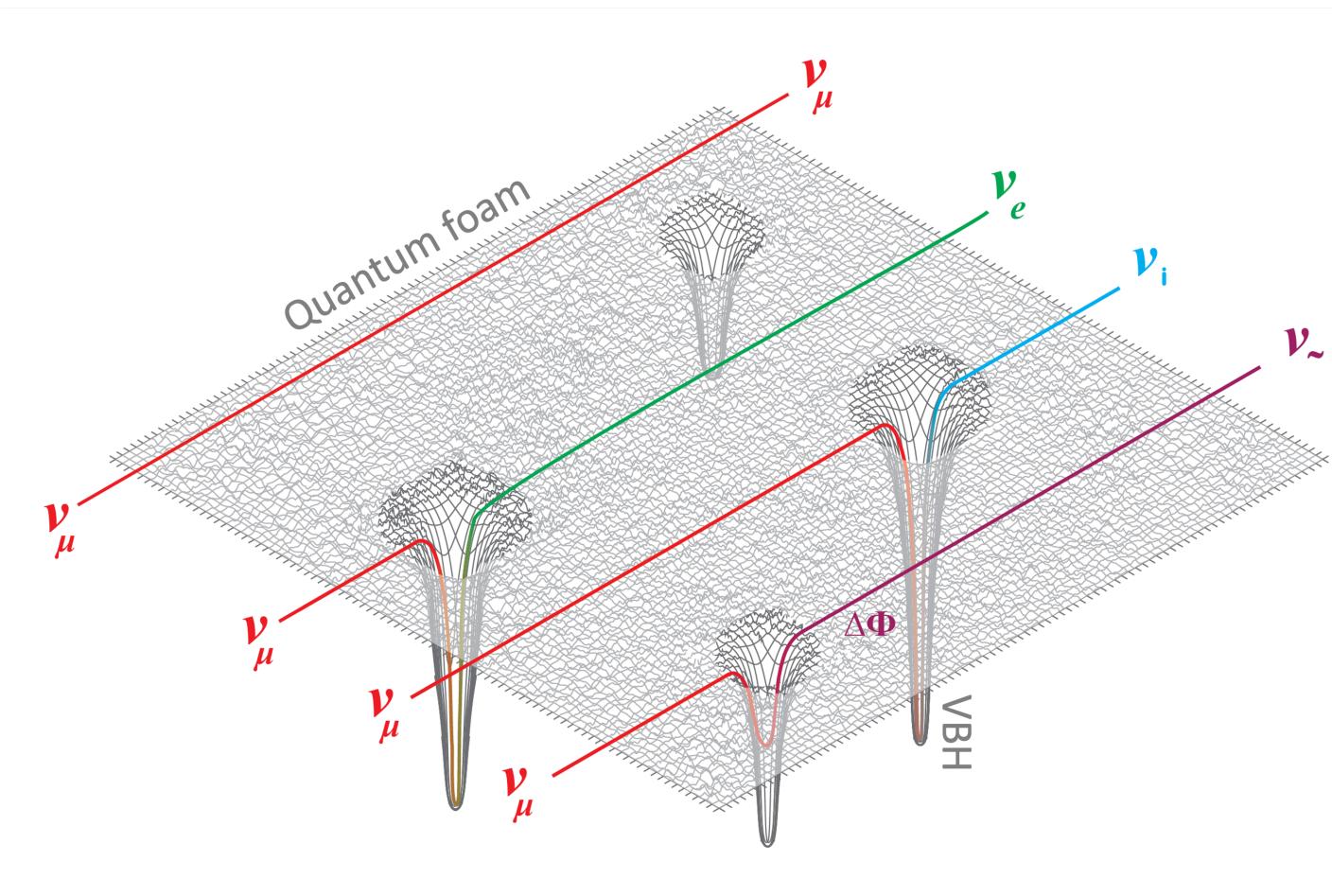


Search for Decoherence Effects

Testing Quantum Gravity with Atmospheric Neutrinos

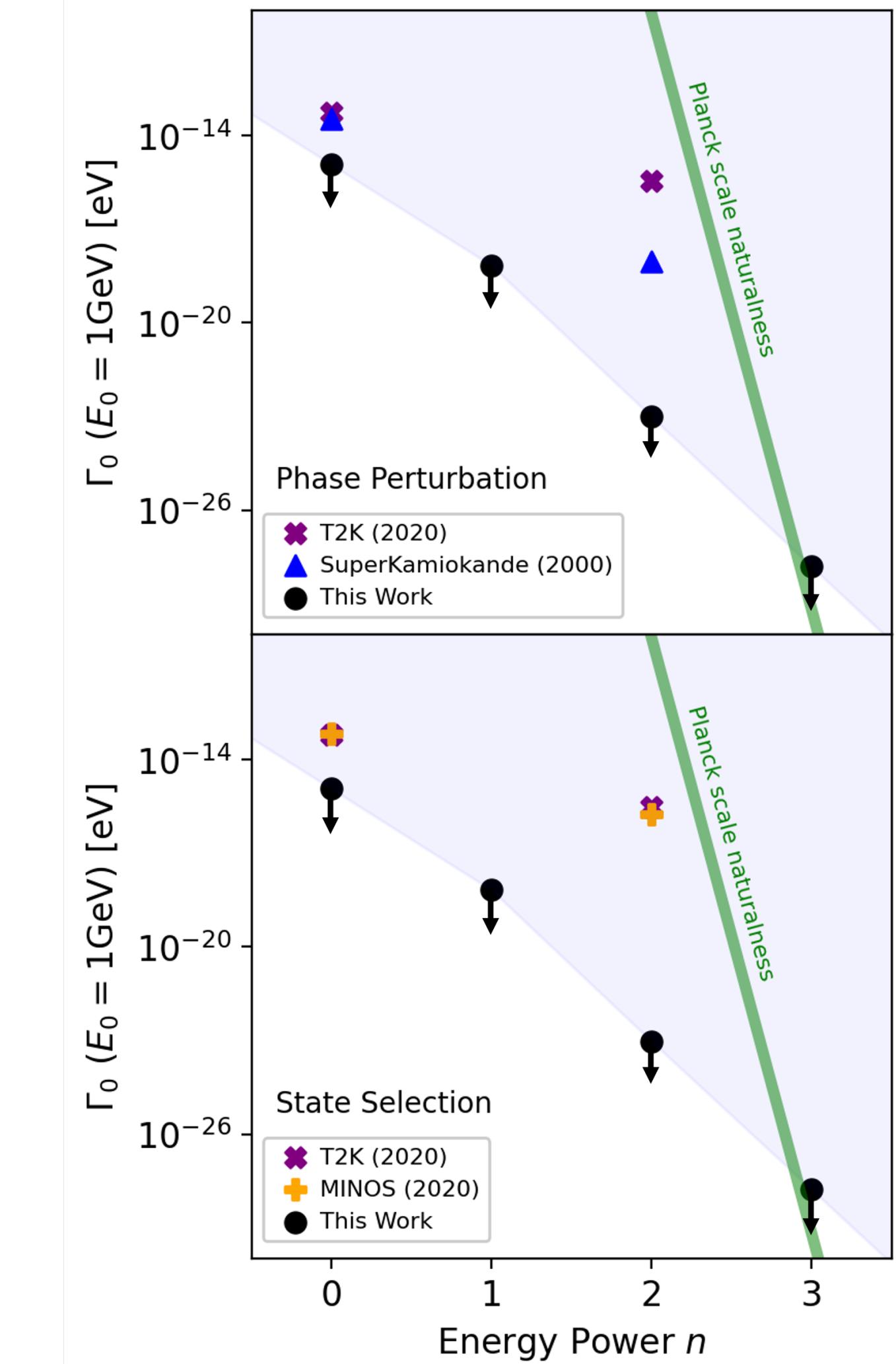
Interactions with virtual black holes lead to dampening with decoherence strength:

$$\Gamma(E_\nu) = \Gamma_0 \left(\frac{E_\nu}{E_0} \right)^n$$



Muon neutrino oscillogram under the state selection model.
[arXiv:2308.00105](https://arxiv.org/abs/2308.00105)

► World's strongest constraints on decoherence effect for all $n \leq 3$



Summary of Results

- Developed a **new DeepCore sample** with improved neutrino purity and more live time than any previous DeepCore analysis
- **Sterile neutrino search with DeepCore** in the 3+1 paradigm assuming mass splitting $> 1 \text{ eV}^2$ using a “golden sample” of very track-like events
 - Strongest limit on $|U_{\tau 4}|^2$ to date, competitive limit on $|U_{\mu 4}|^2$
- **Three-flavor result** using new ML reconstruction
 - Most precise Δm_{32}^2 and θ_{23} measurement with atmospheric neutrinos to date
- **Improved matter-enhanced sterile neutrino search** using TeV-scale atmospheric neutrinos giving improved exclusion over 2020
- **Search for decoherence effects** producing world-leading exclusion for quantum-gravity induced decoherence parameter

And now, a look into the future...

IceCube Upgrade

2 MT of Dense Instrumentation for Low Energy Measurements

mDOM



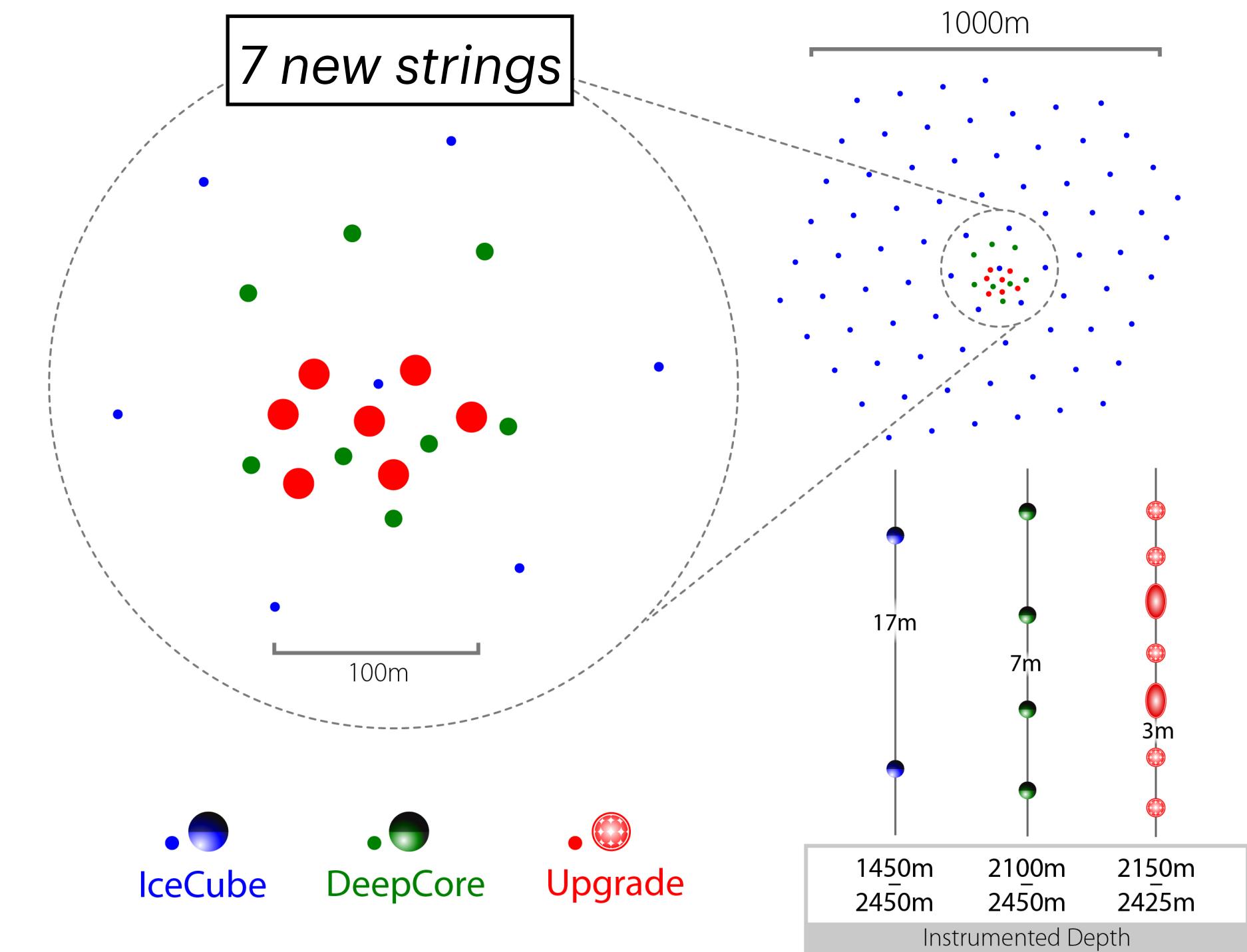
Credit: S. Niedworok

D-Egg



Credit: M. Shimizu

7 new strings

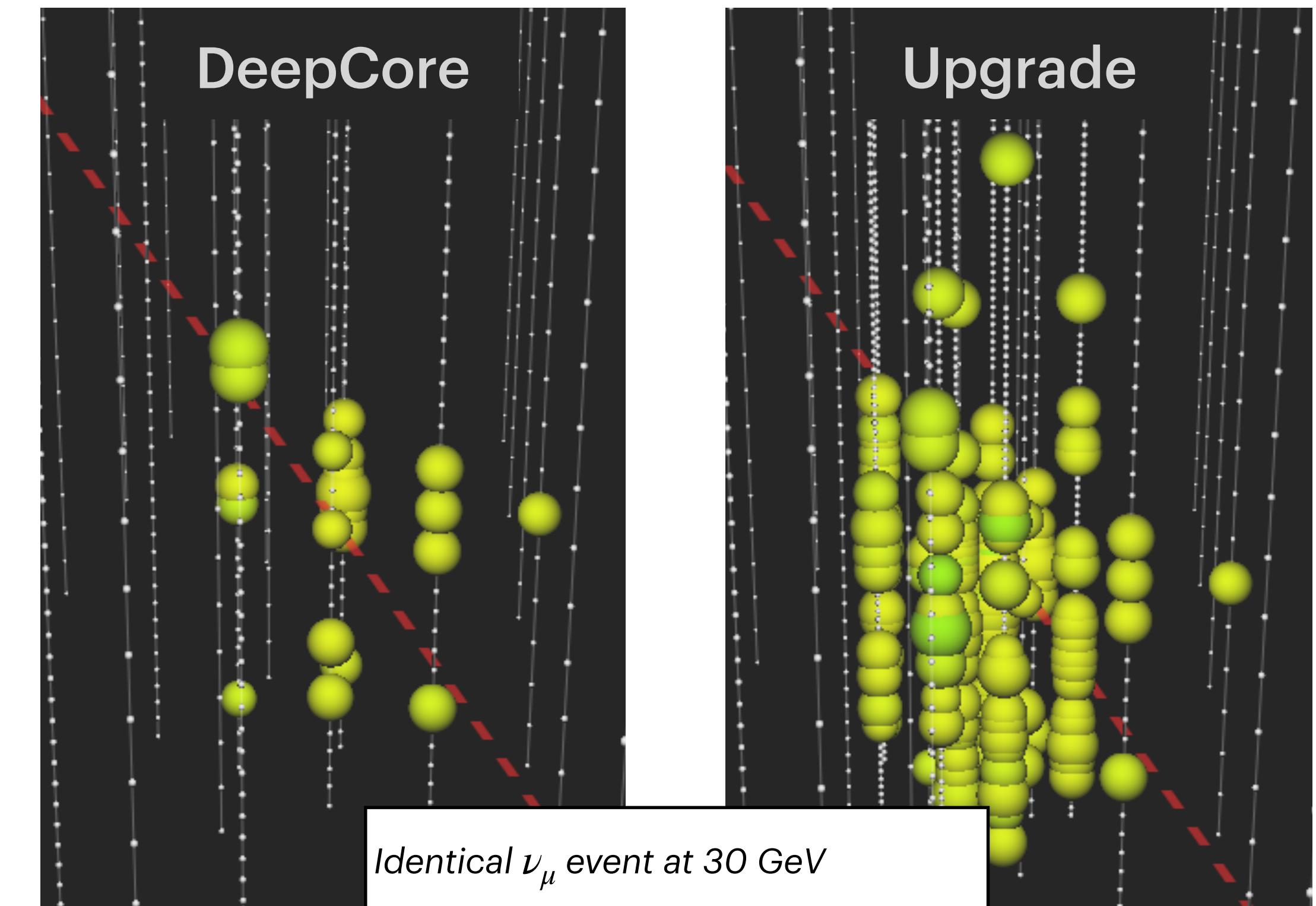
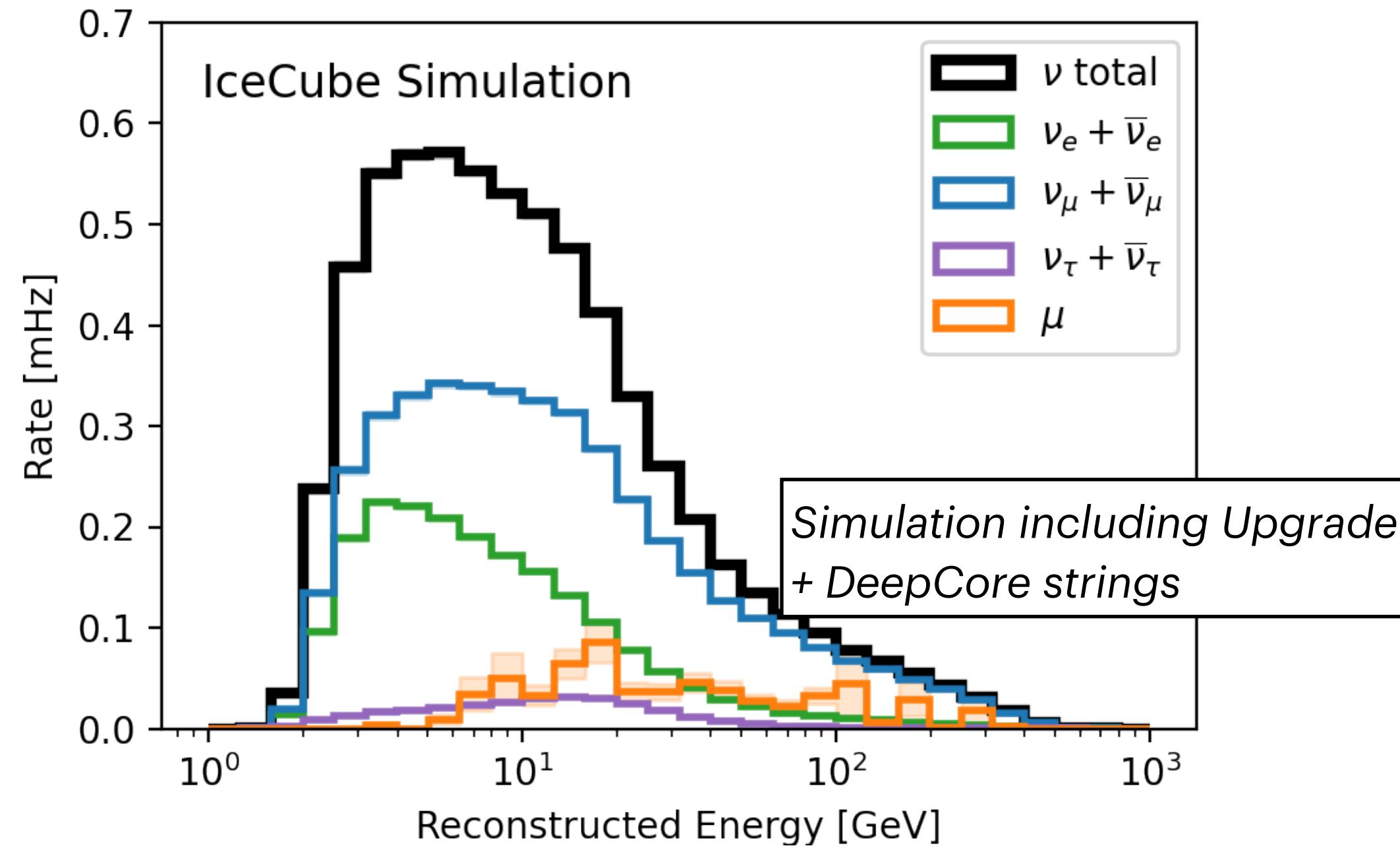


Aya Ishihara, *The IceCube Upgrade — Design and Science goals*, (arXiv:1908.09441)

IceCube Upgrade

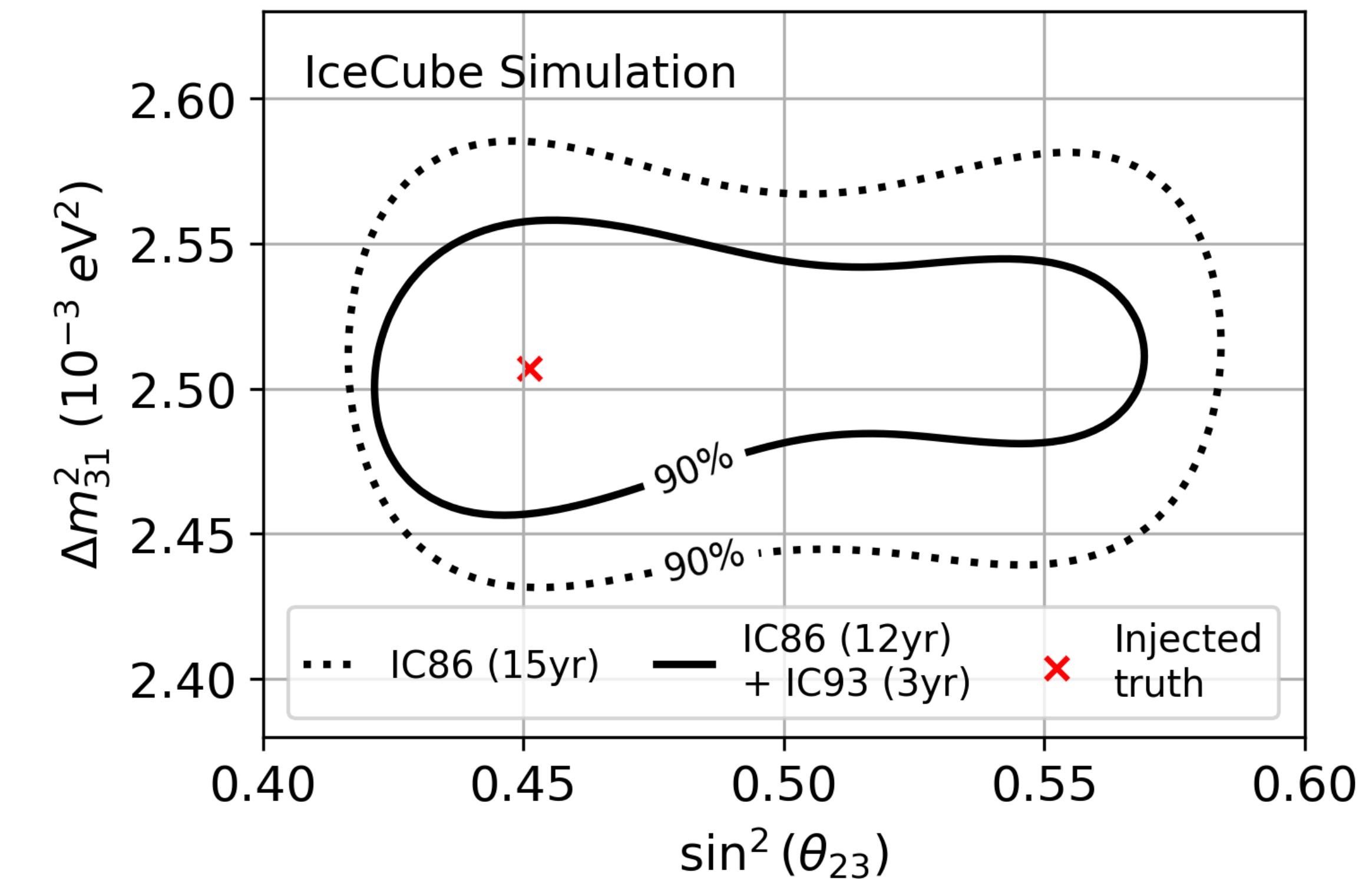
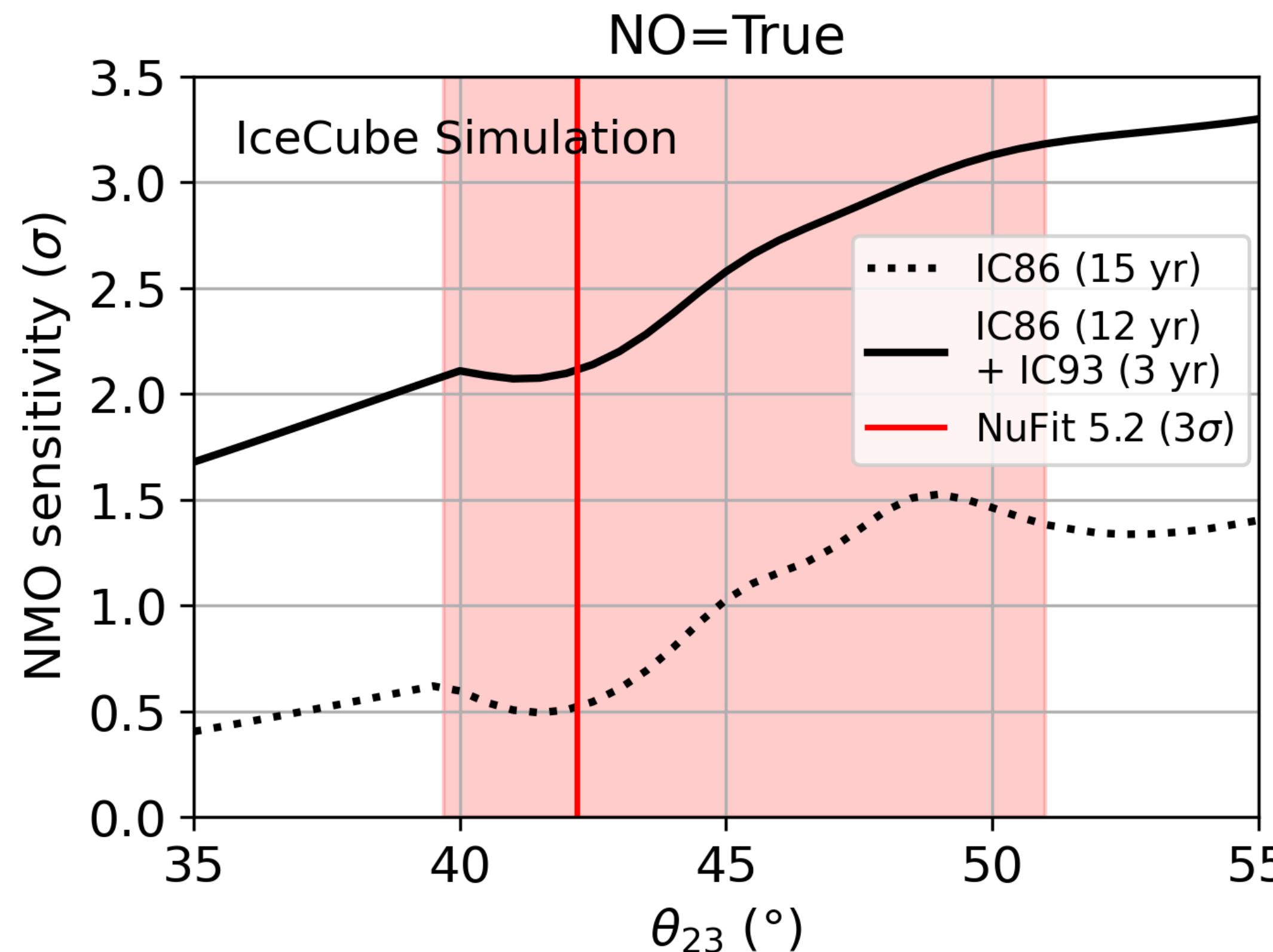
Expected Performance

- **Denser instrumentation** for energy threshold ~ 1 GeV
- **Higher event rate** about 4x DeepCore



IceCube Upgrade

Expected Oscillation Sensitivity Improvements

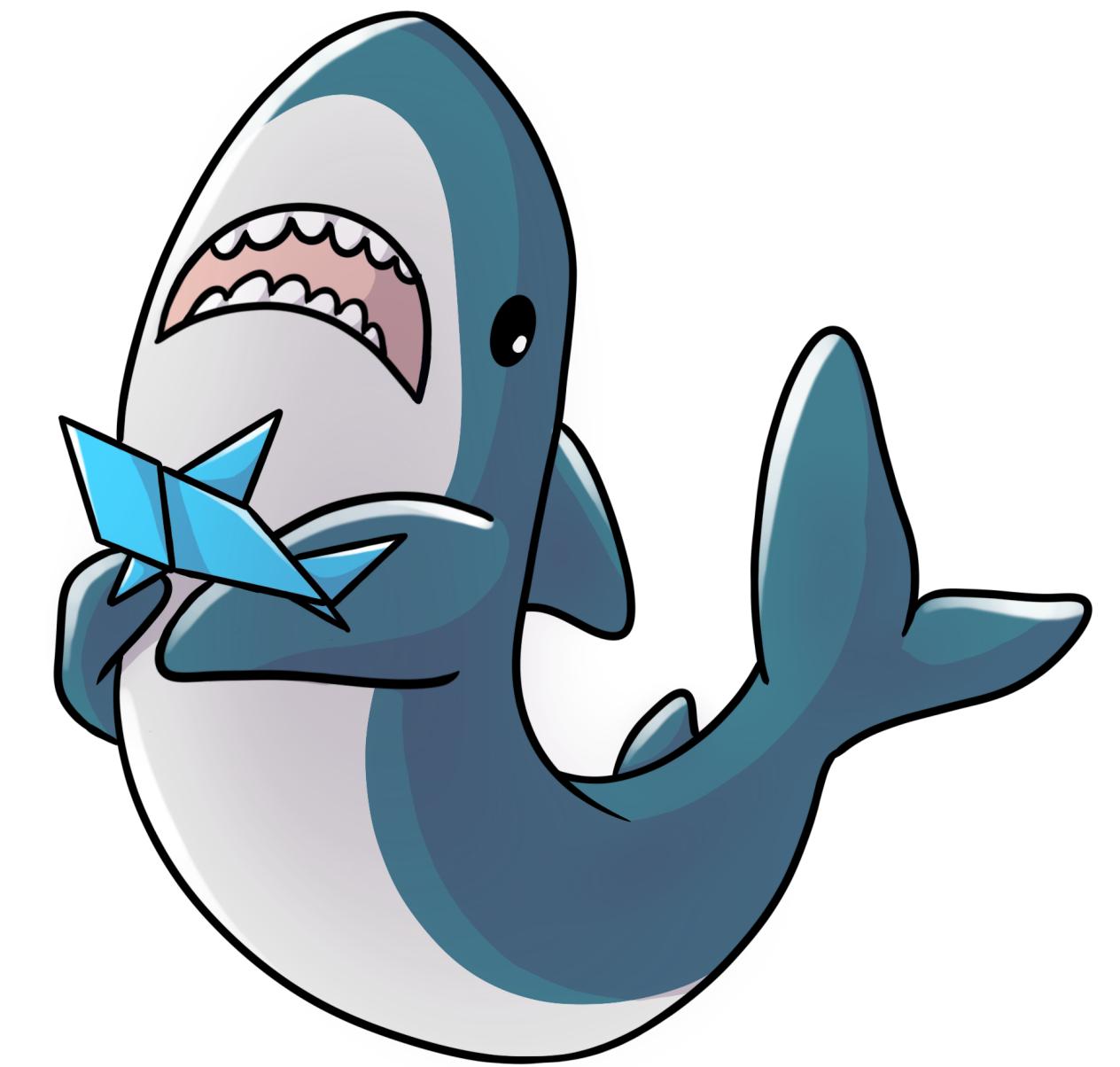


Upgrade sensitivity study: [arXiv:2307.15295](https://arxiv.org/abs/2307.15295)

The future is exciting!



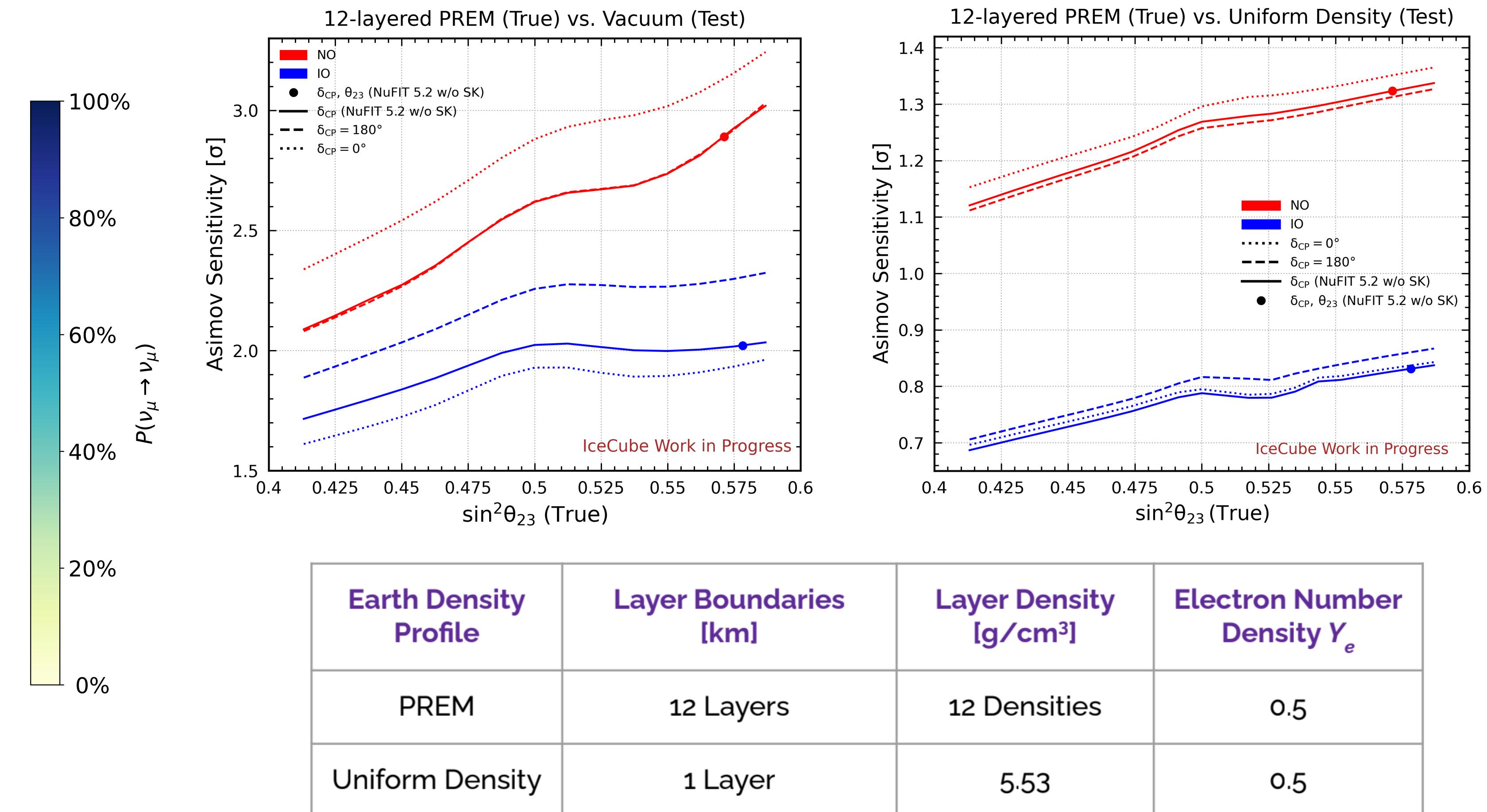
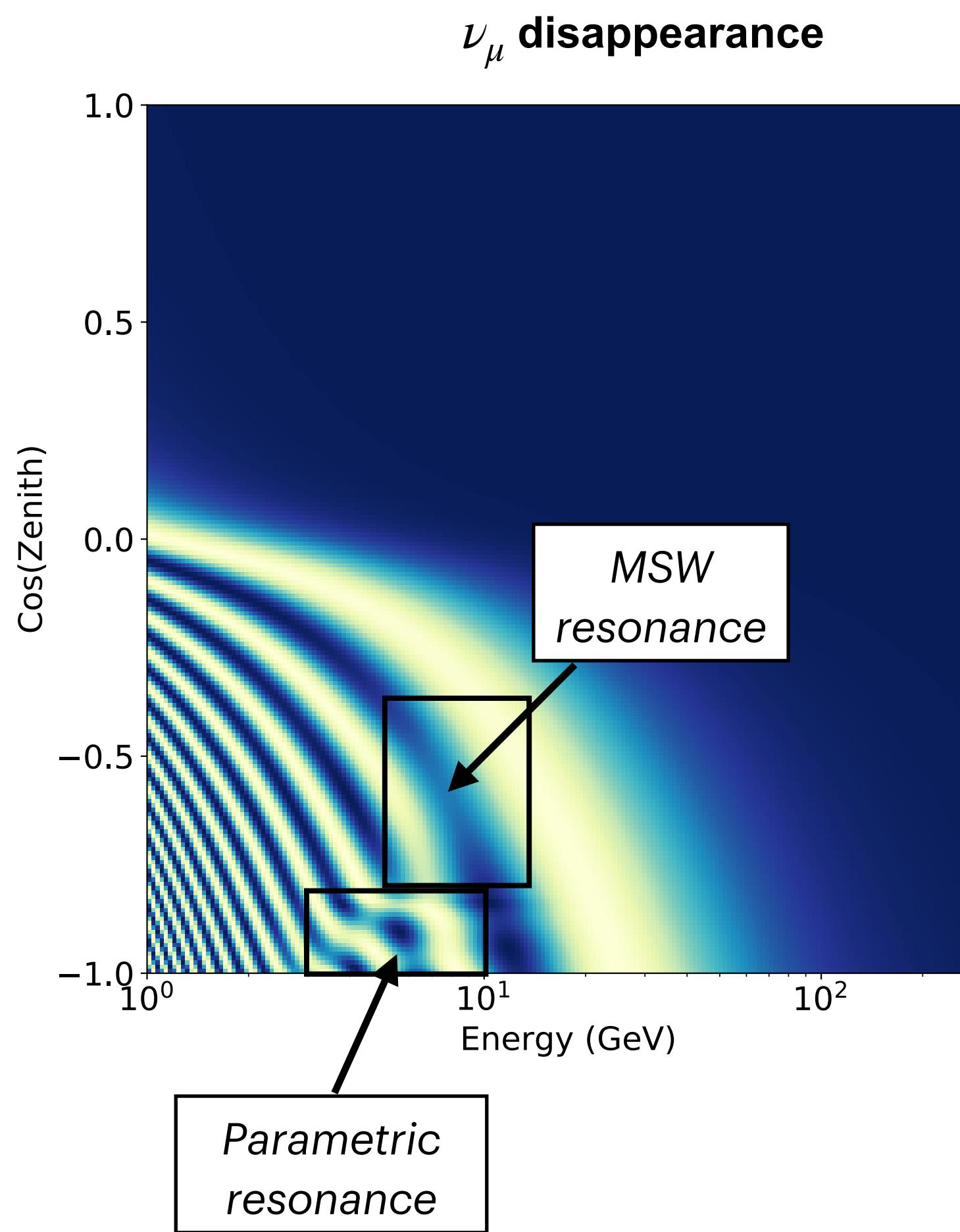
Thank you!



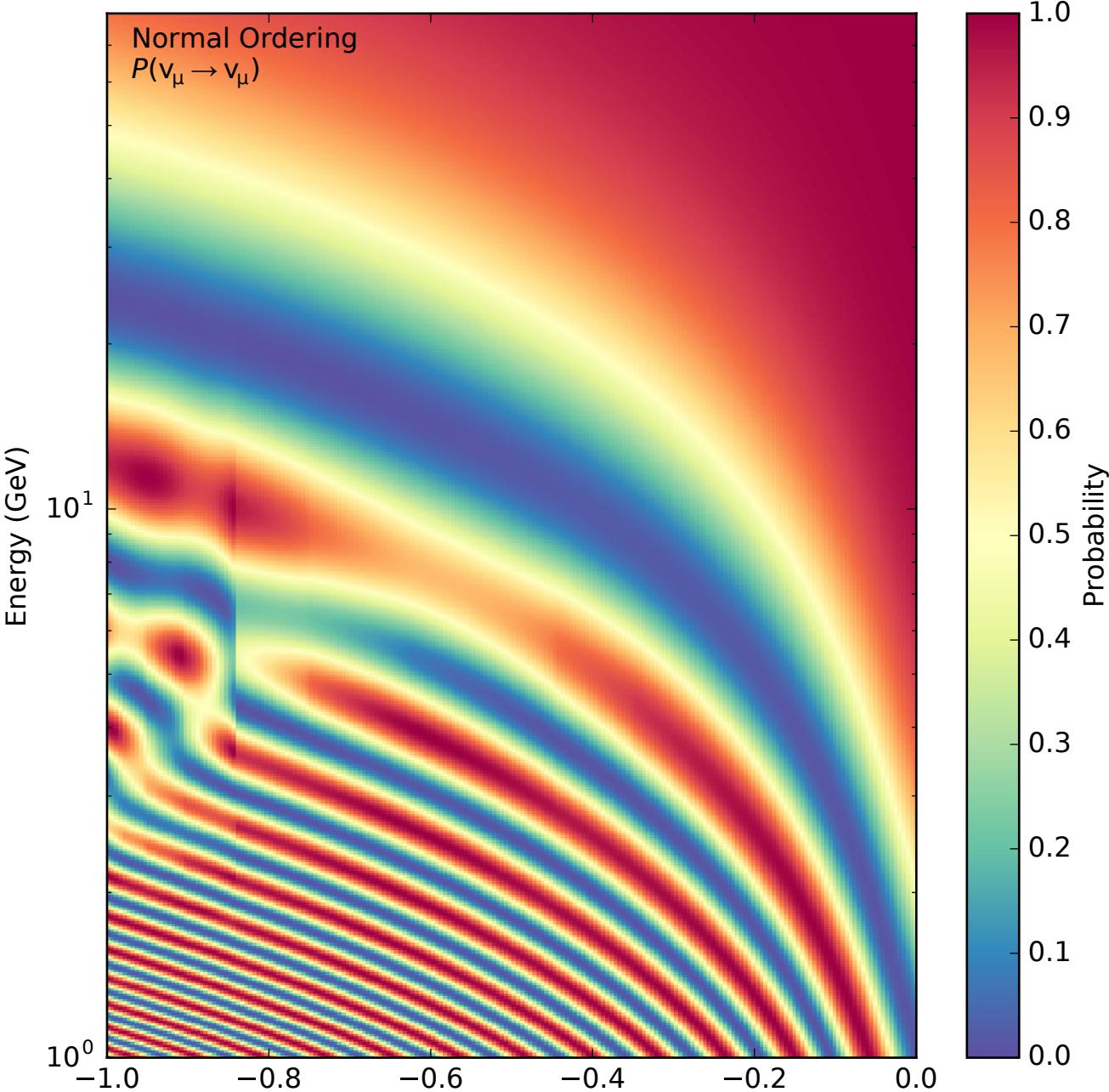
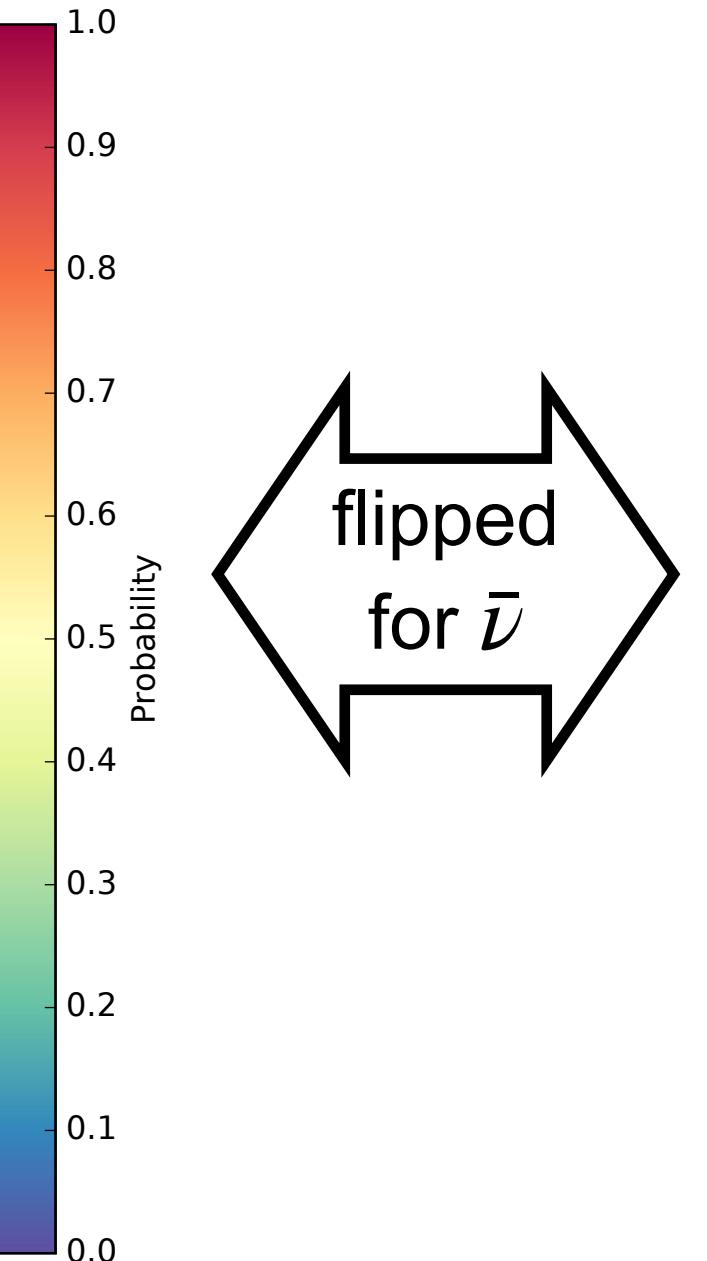
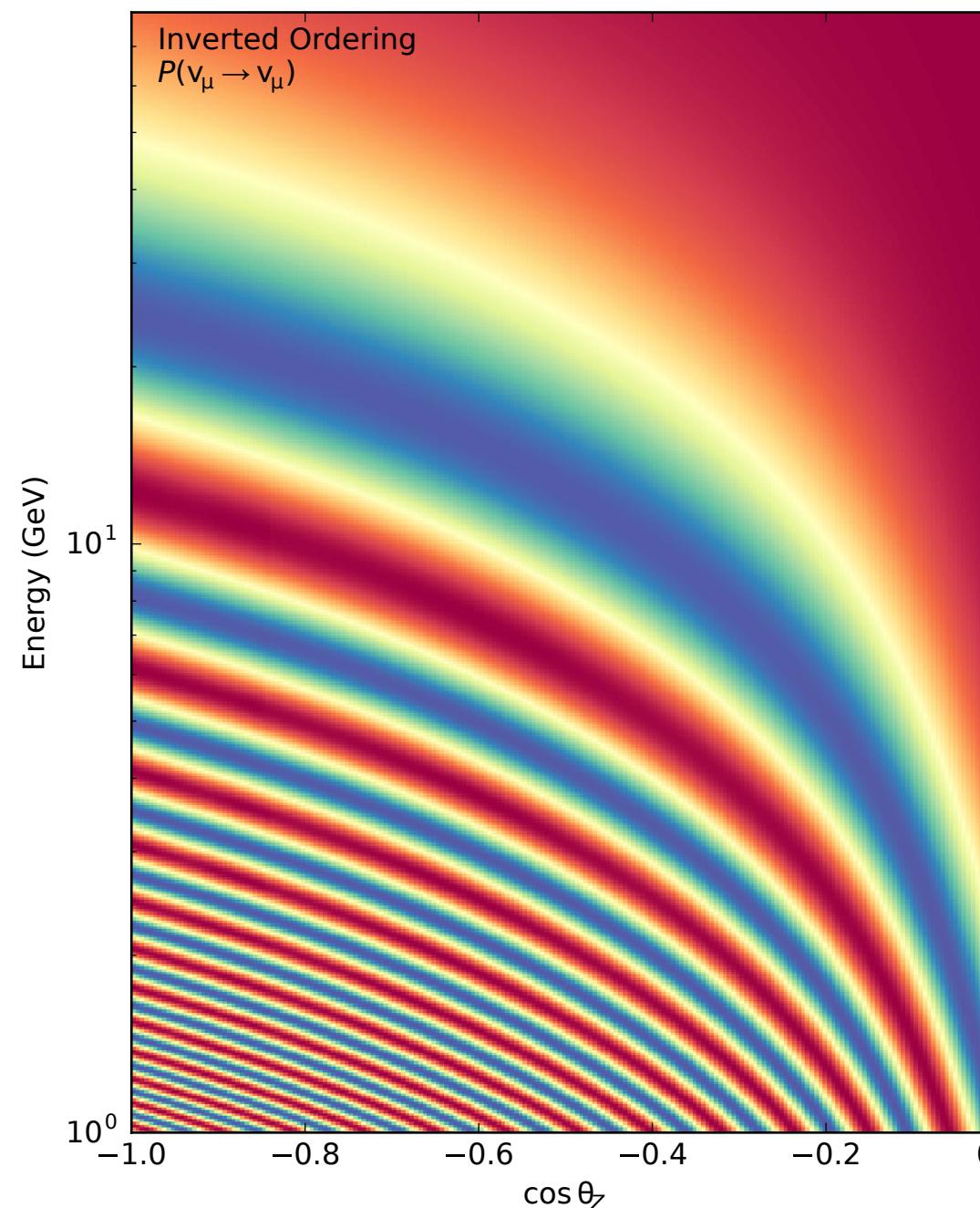
Backup

Neutrino Tomography of the Earth

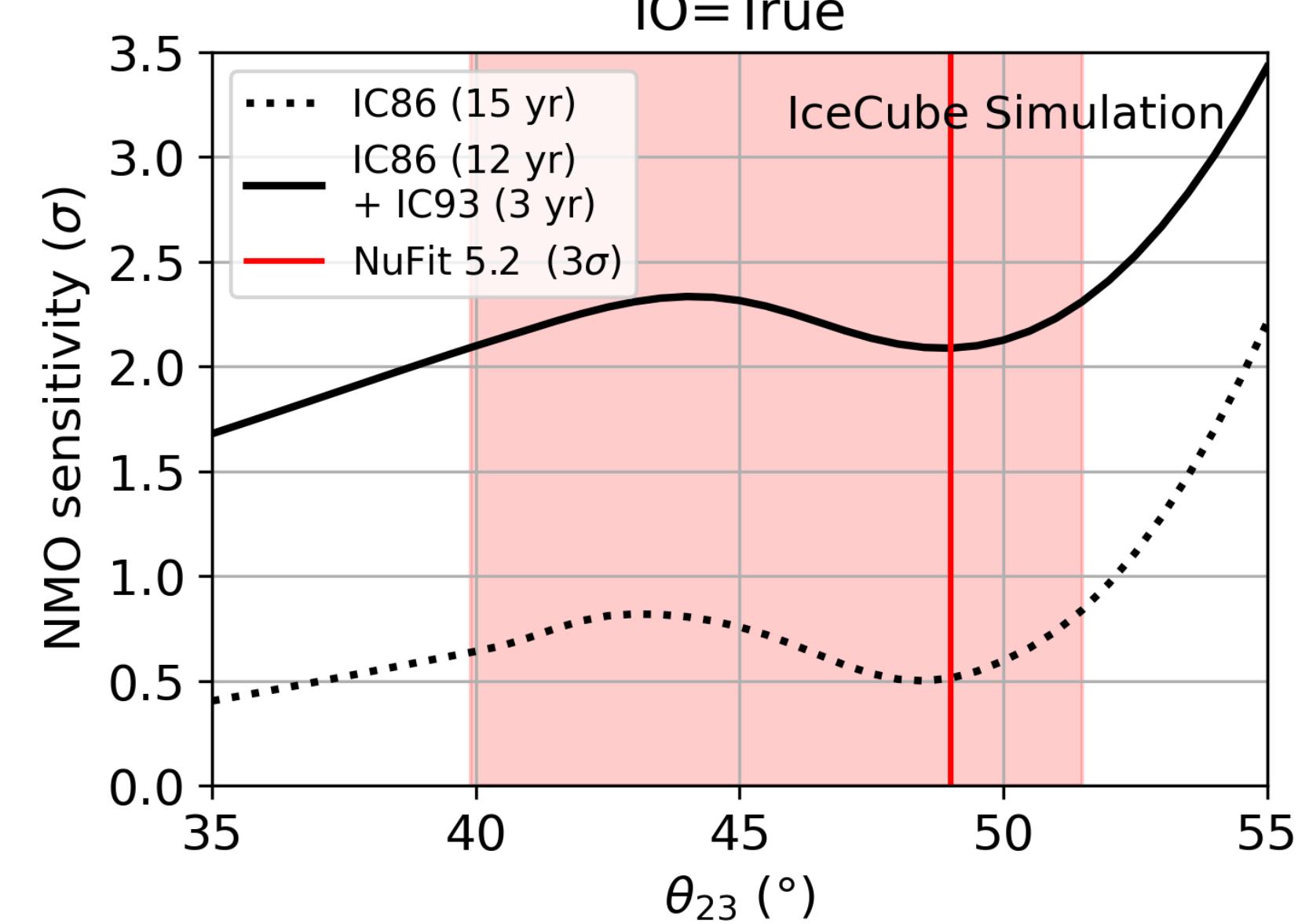
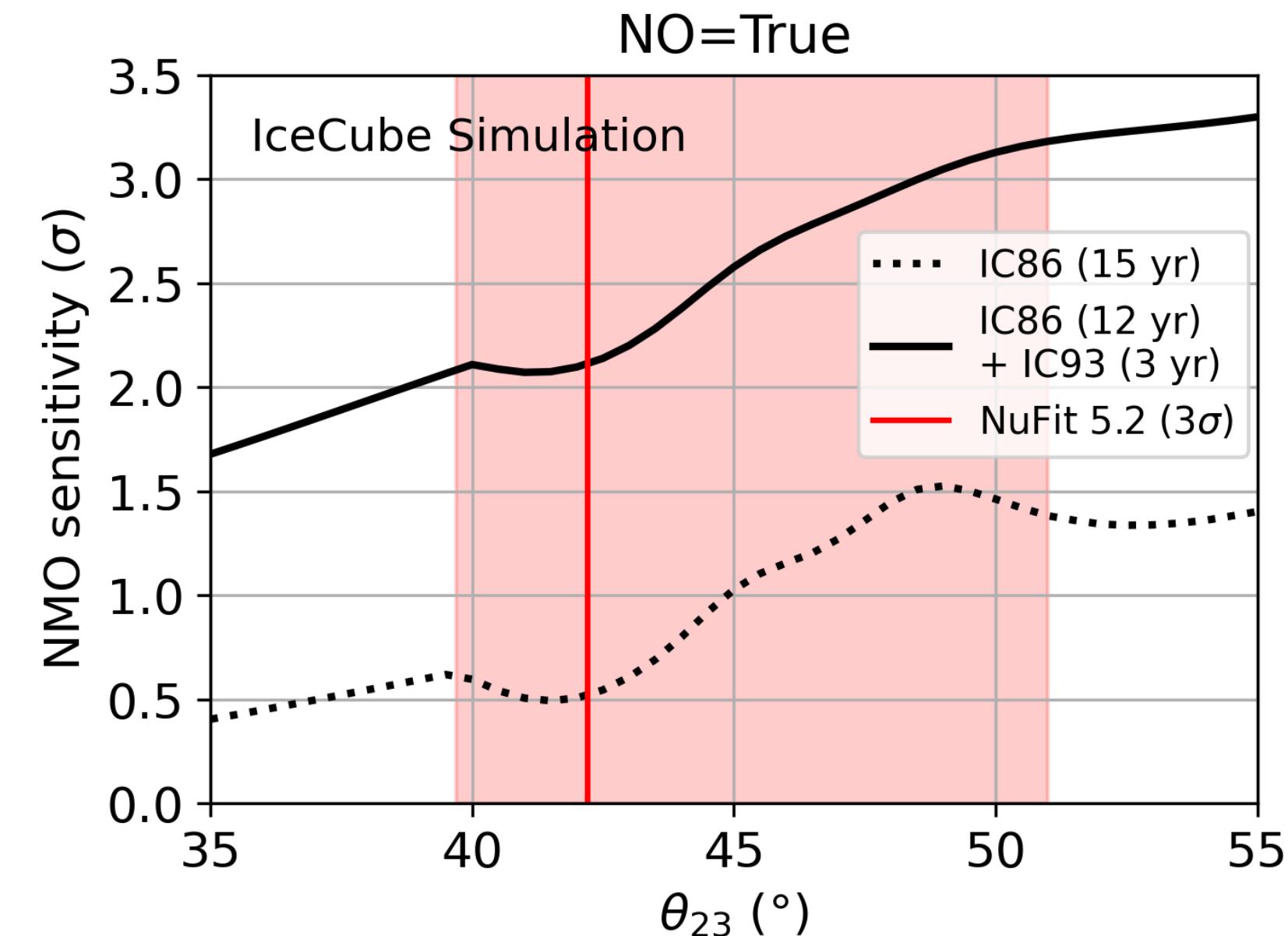
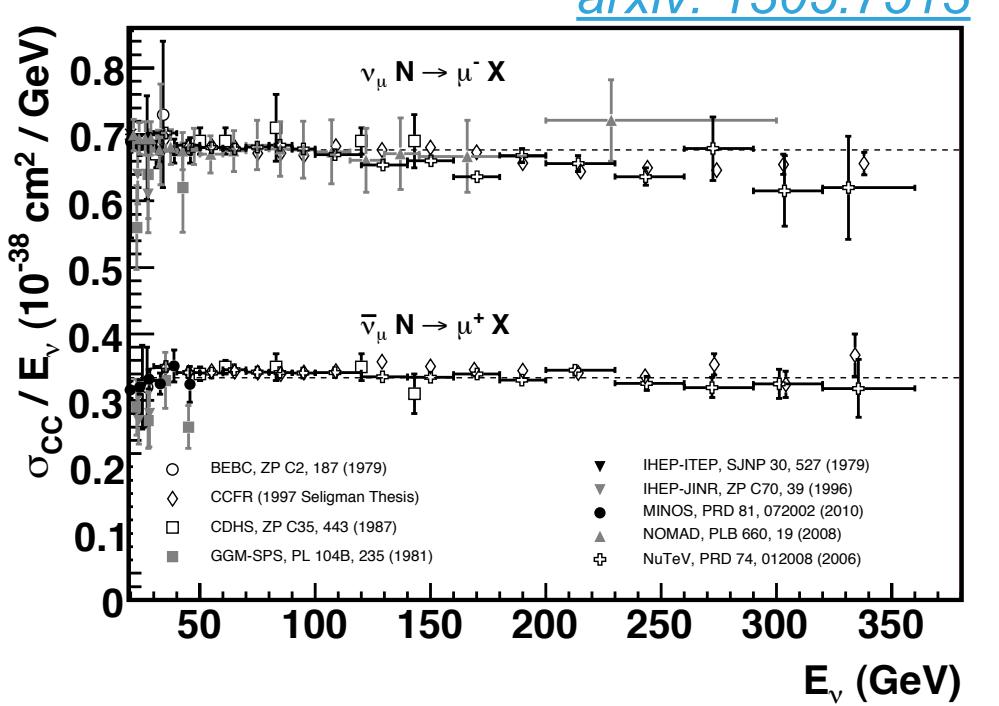
Recent Sensitivity Study using the FLERCNN Sample



Neutrino Mass Ordering (NMO)

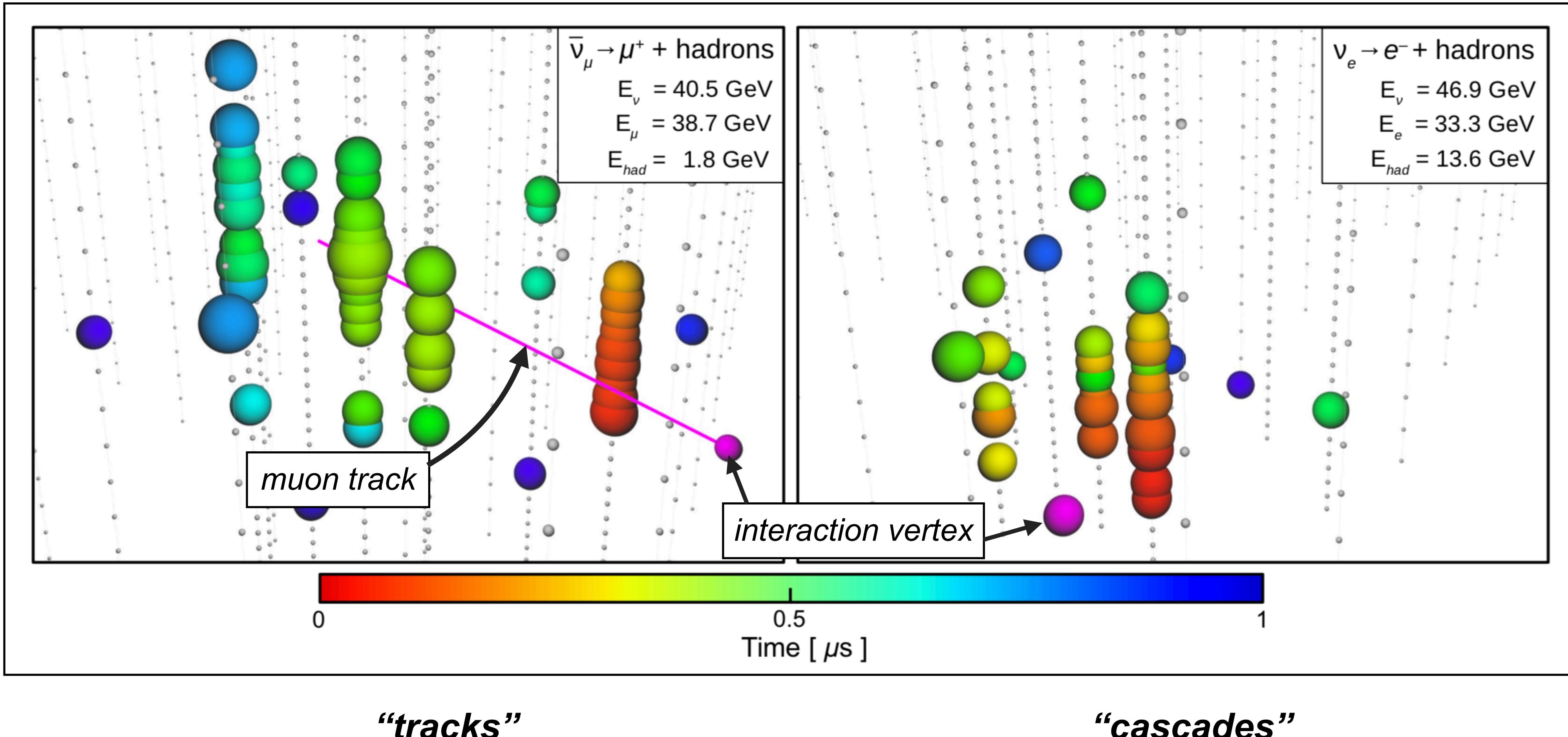


- matter-induced distortions for ν in NO, $\bar{\nu}$ in IO
- $\nu, \bar{\nu}$ indistinguishable to detector
 - ➡ effect on rates due to different cross-sections



Neutrino Interactions in DeepCore: Realistic

Charged-current ν_μ interactions

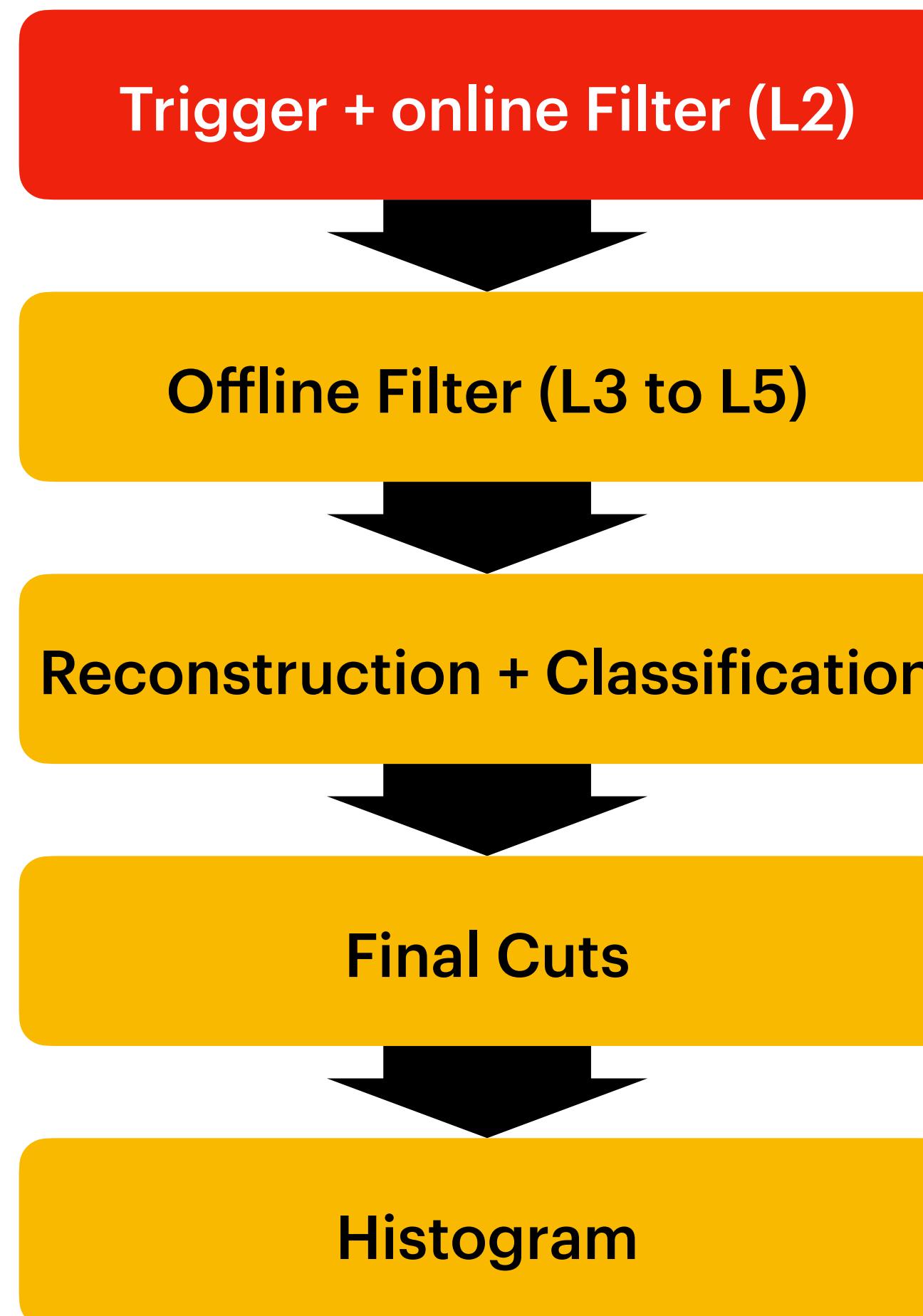


“tracks”

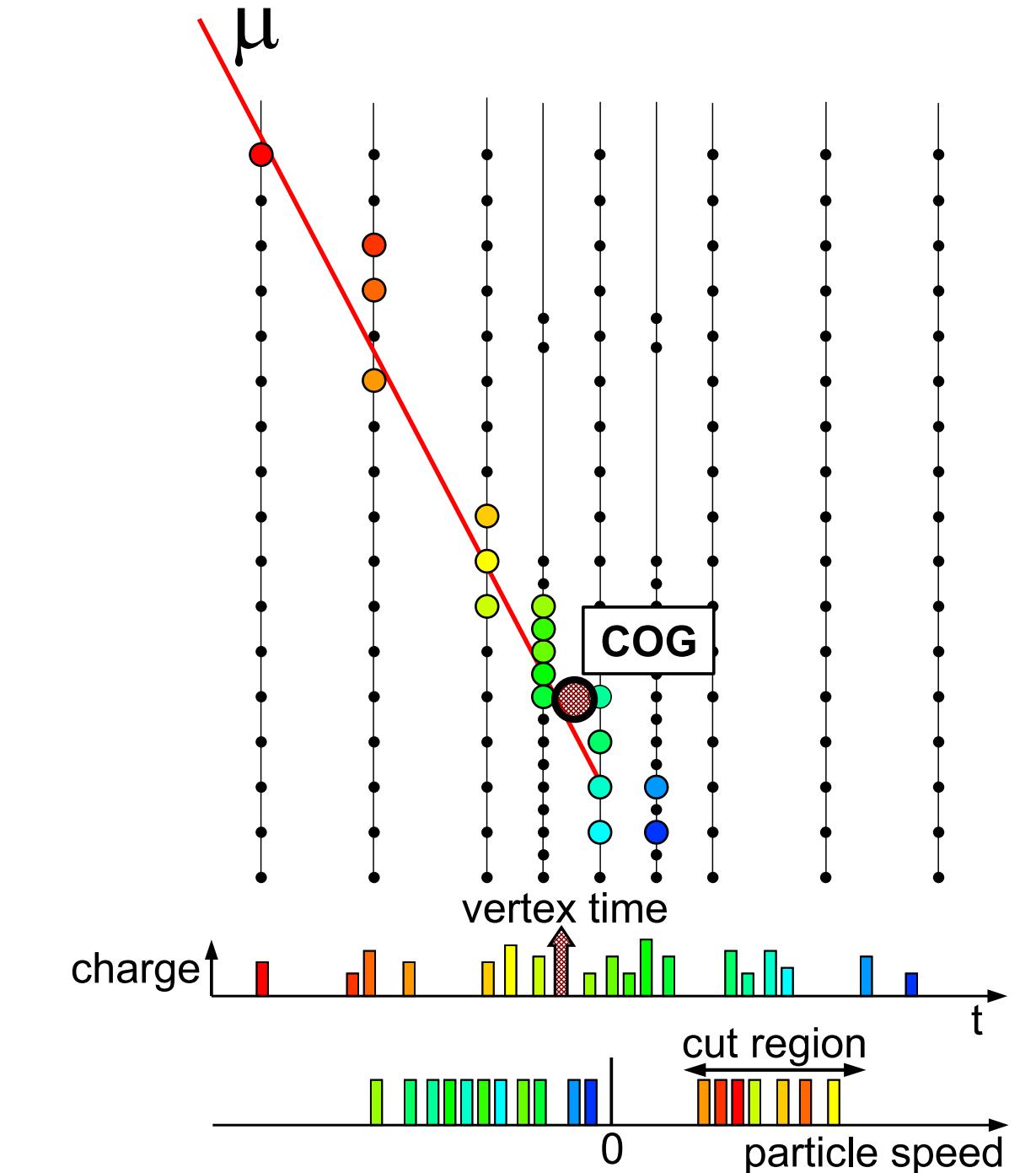
“cascades”

Event Selection

Trigger + Online Filter

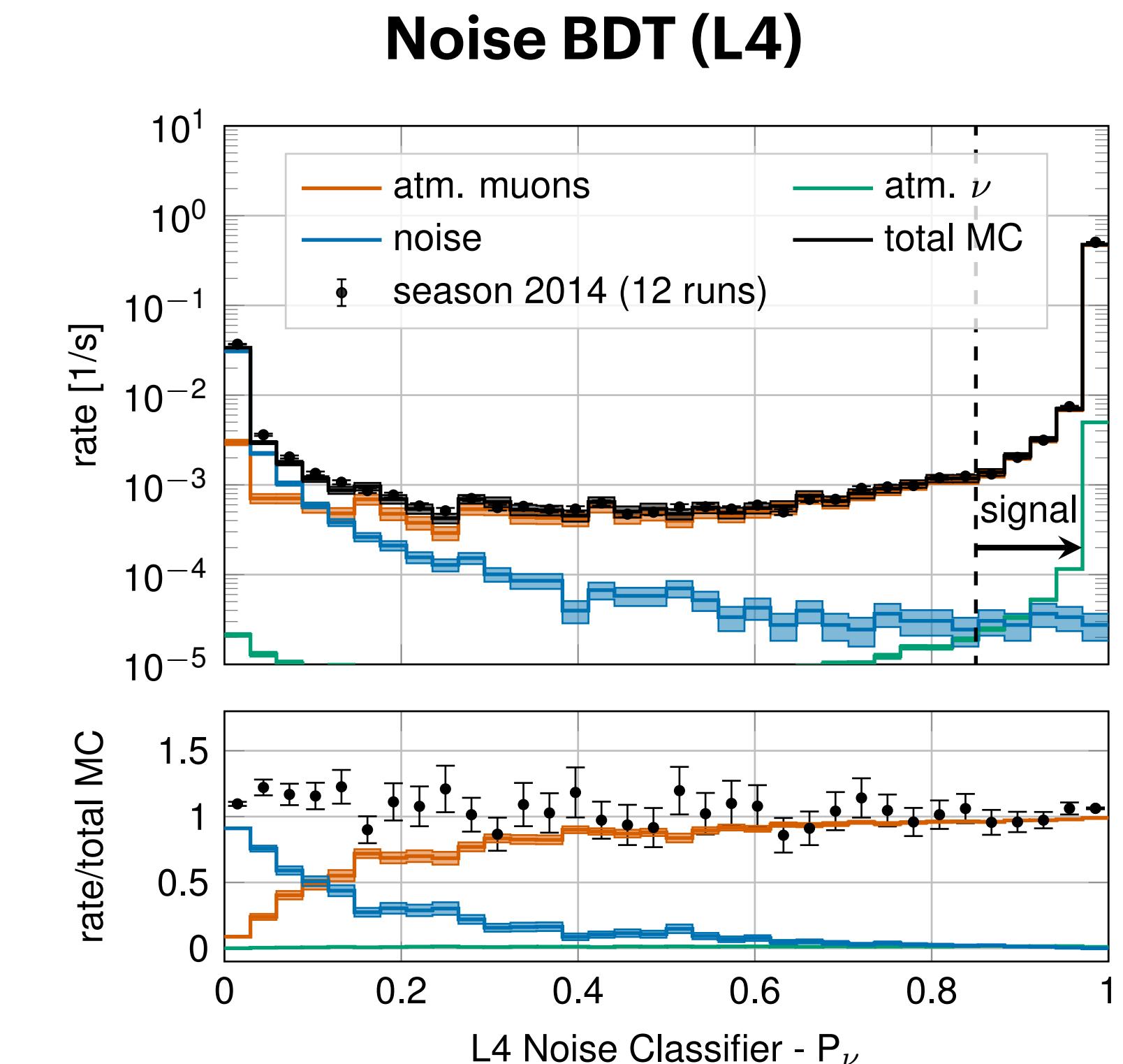
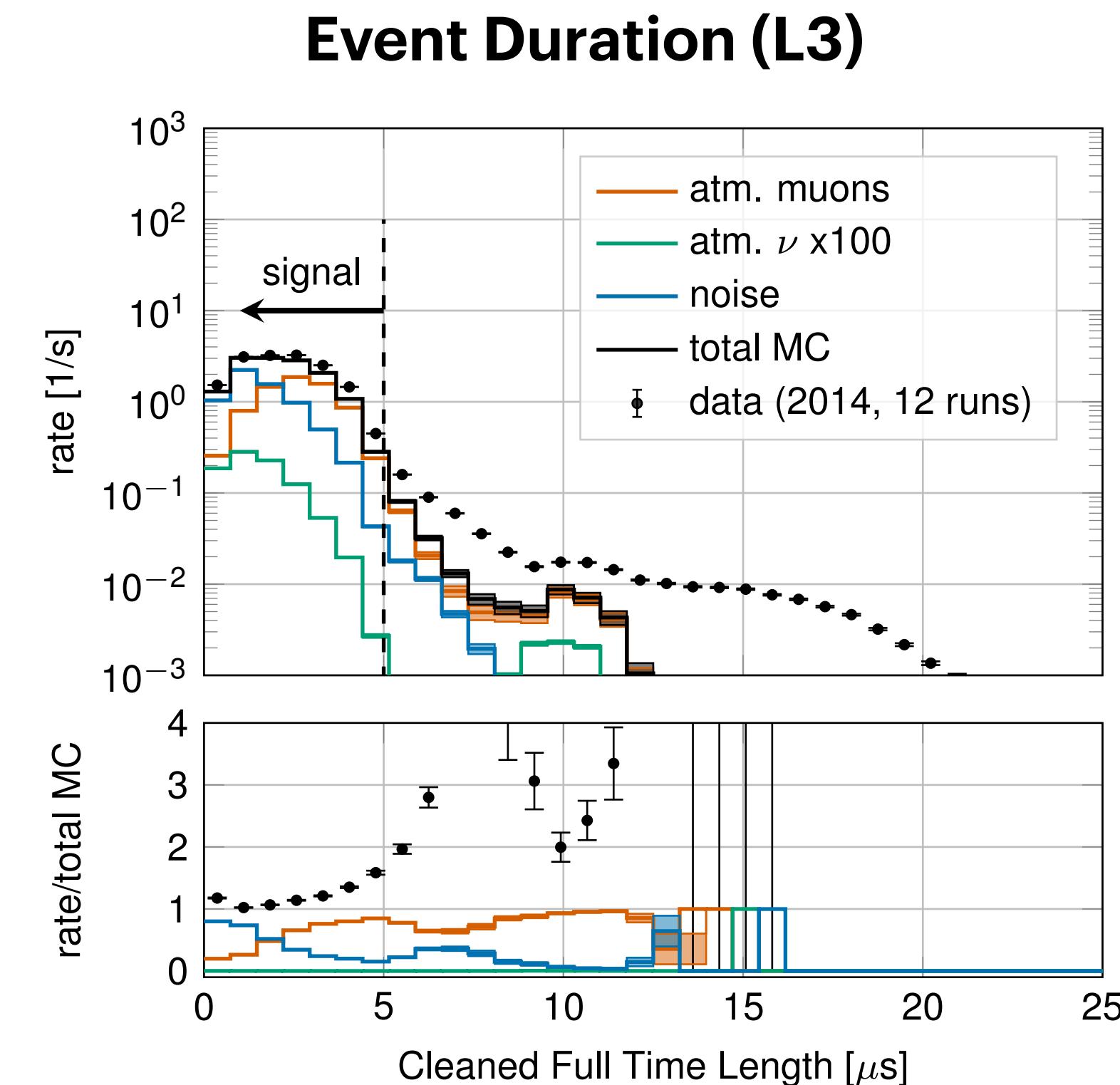
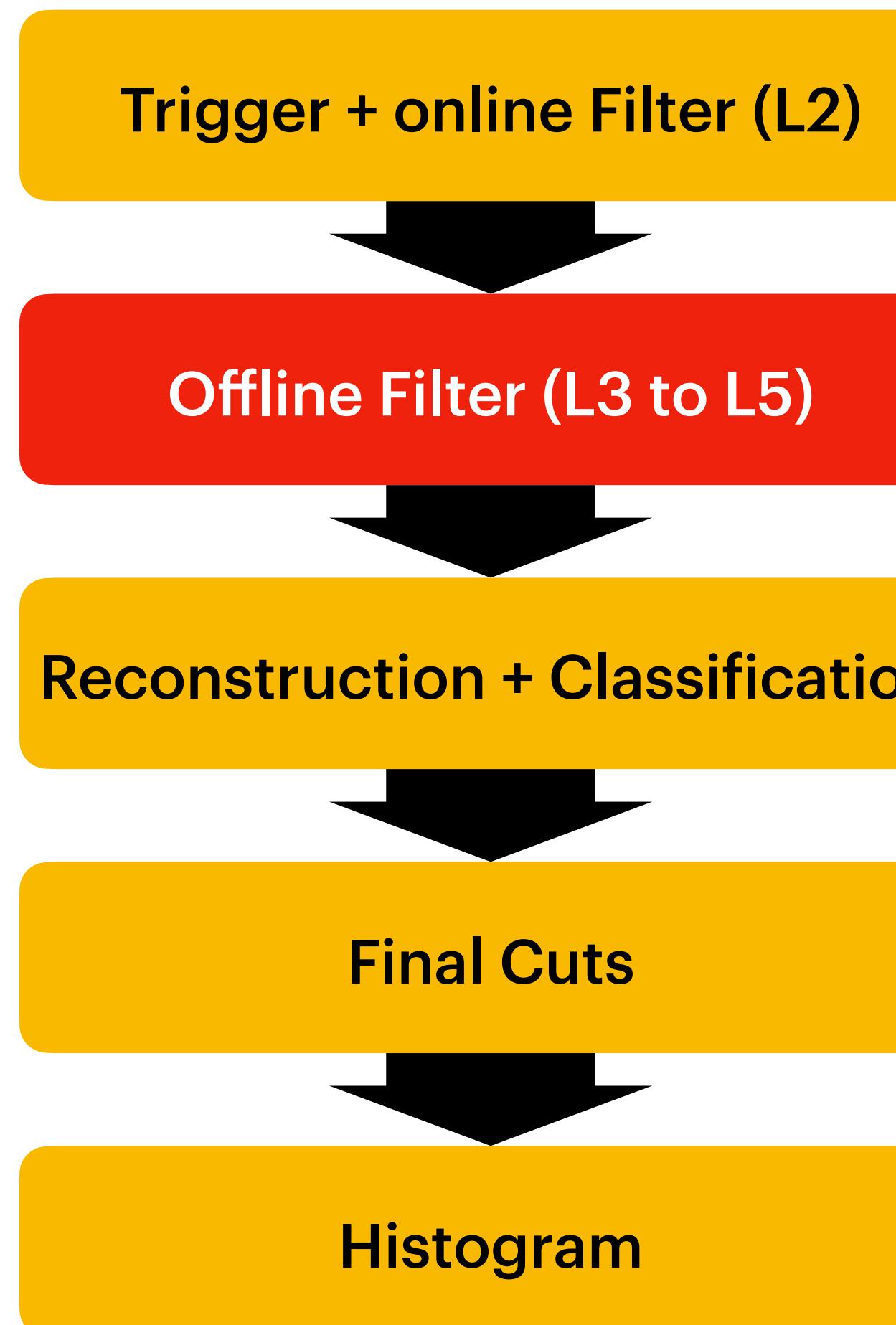


- Trigger: at least three DOMs fulfill “hard local coincidence” (HLC) within DeepCore fiducial volume
- Online filter: veto event when hits outside DeepCore compatible with muon hypothesis
- Events passing filter sent North via Satellite



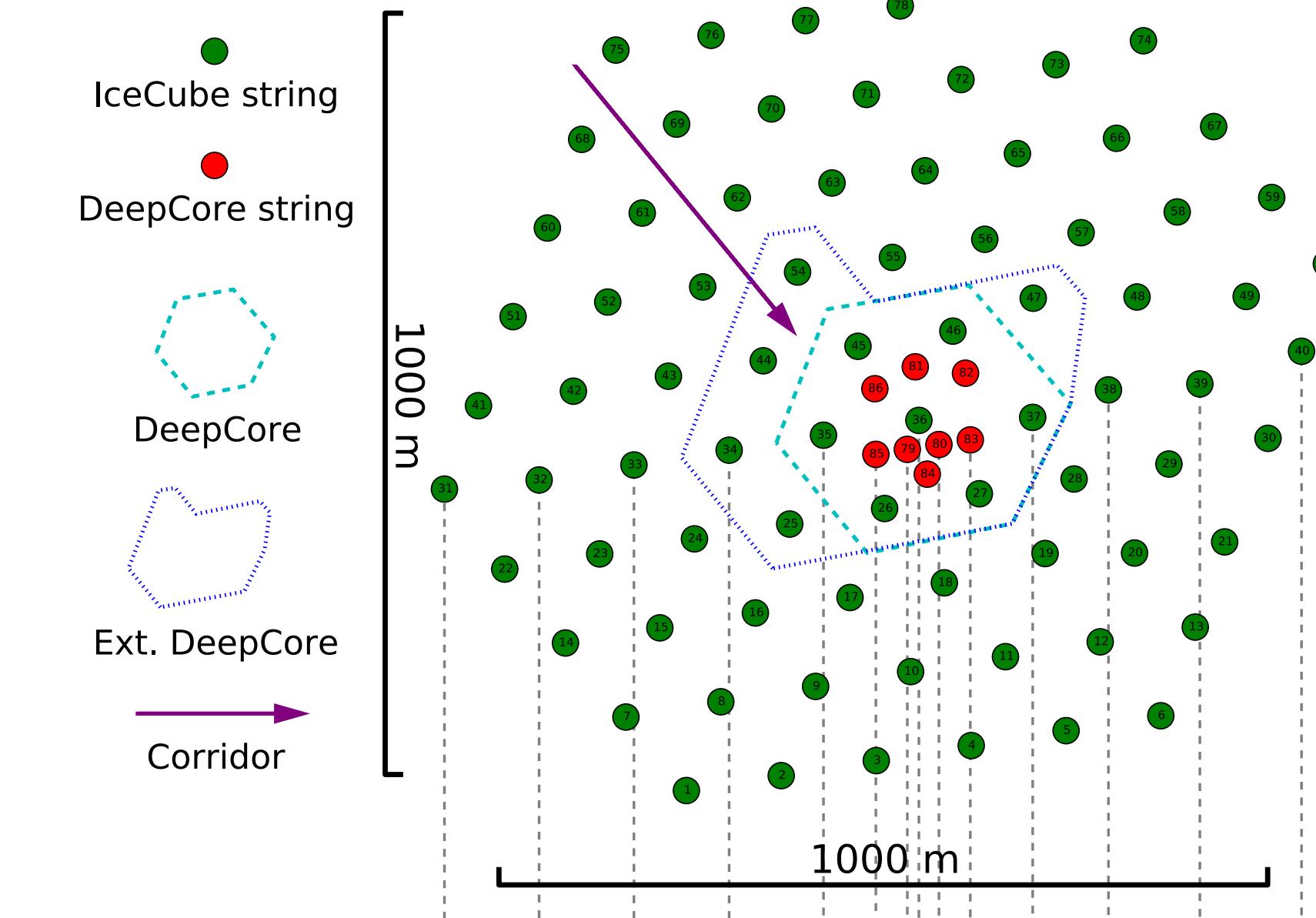
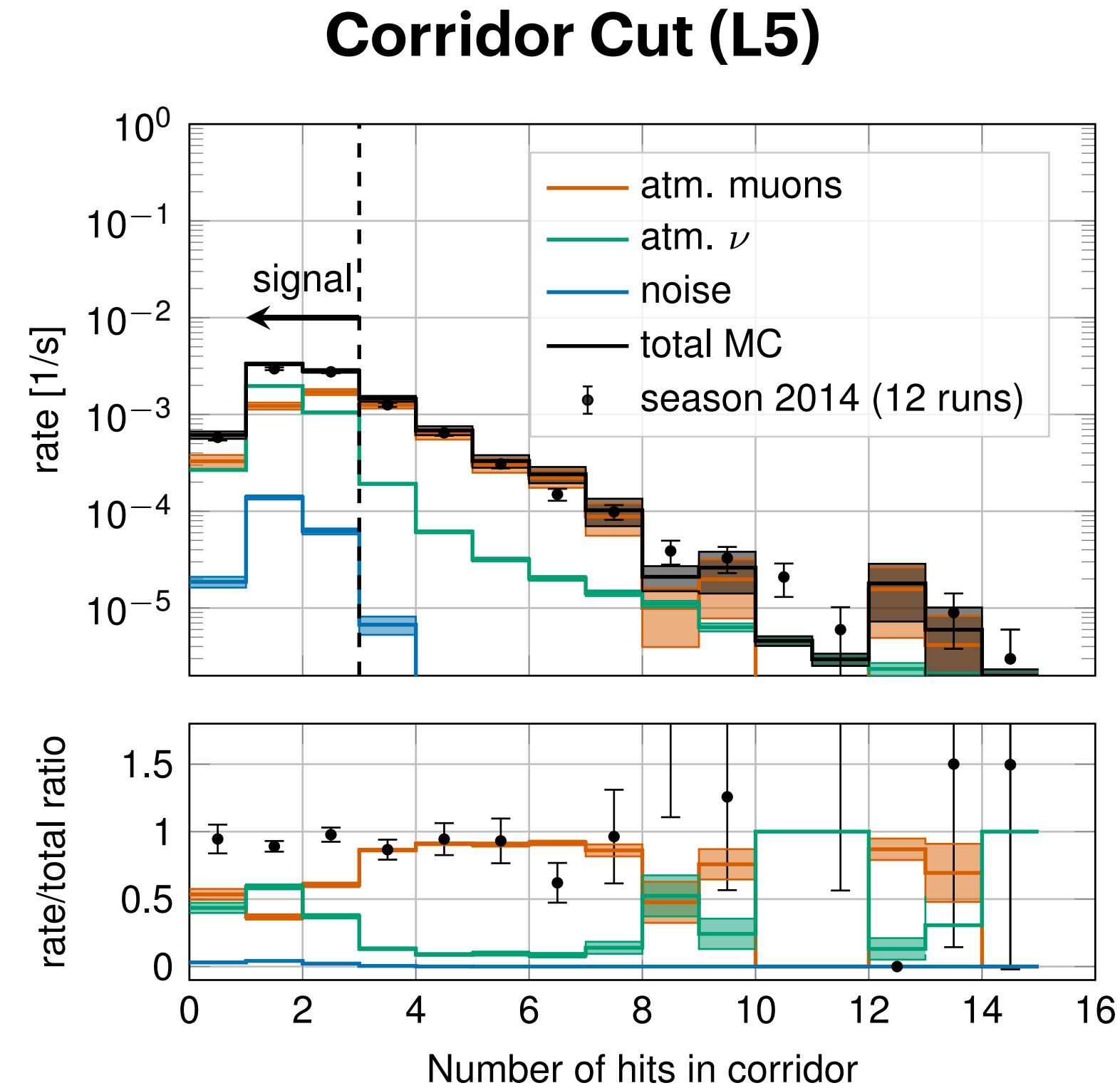
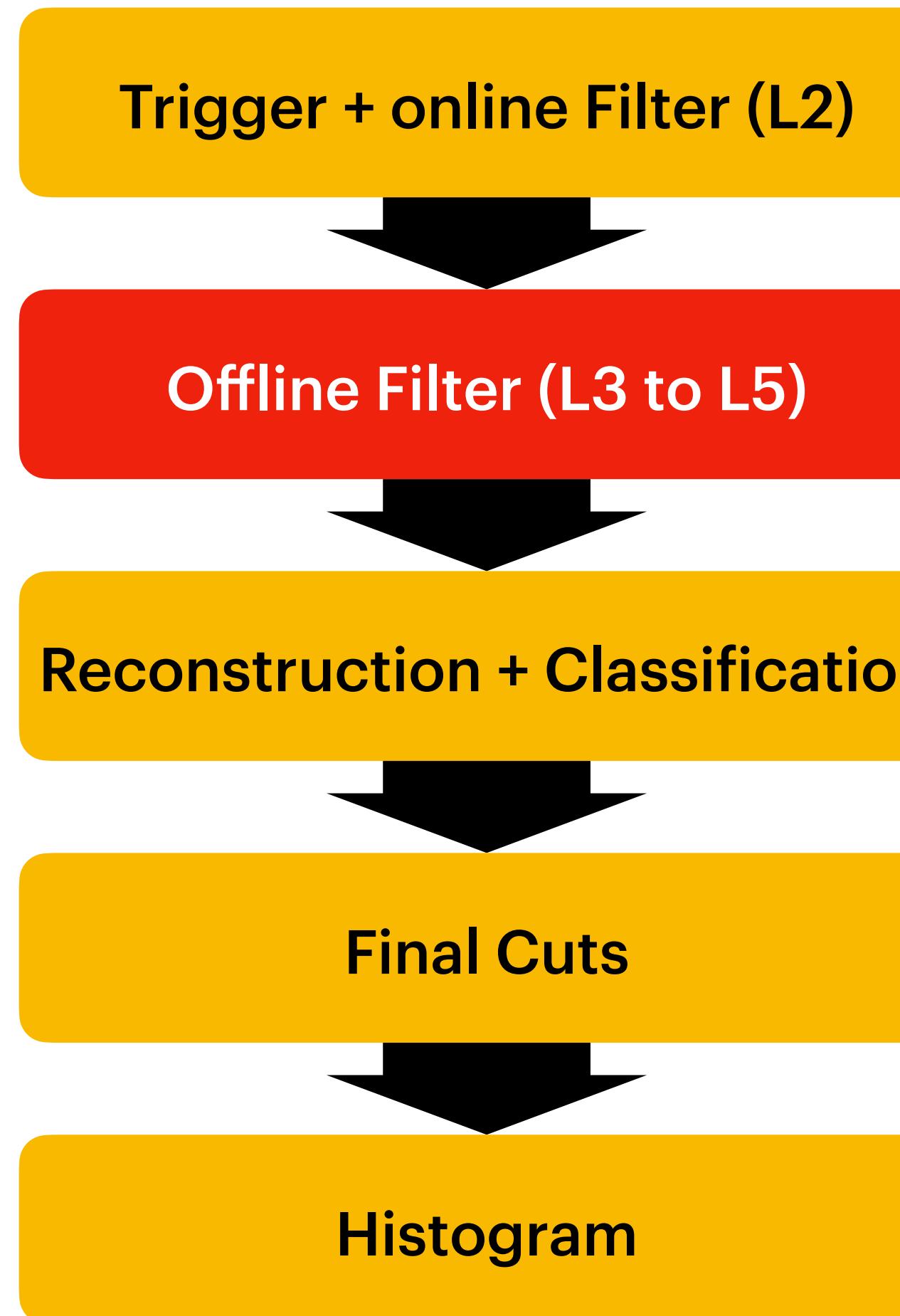
Offline Filter

Reducing background from noise and atm. muons

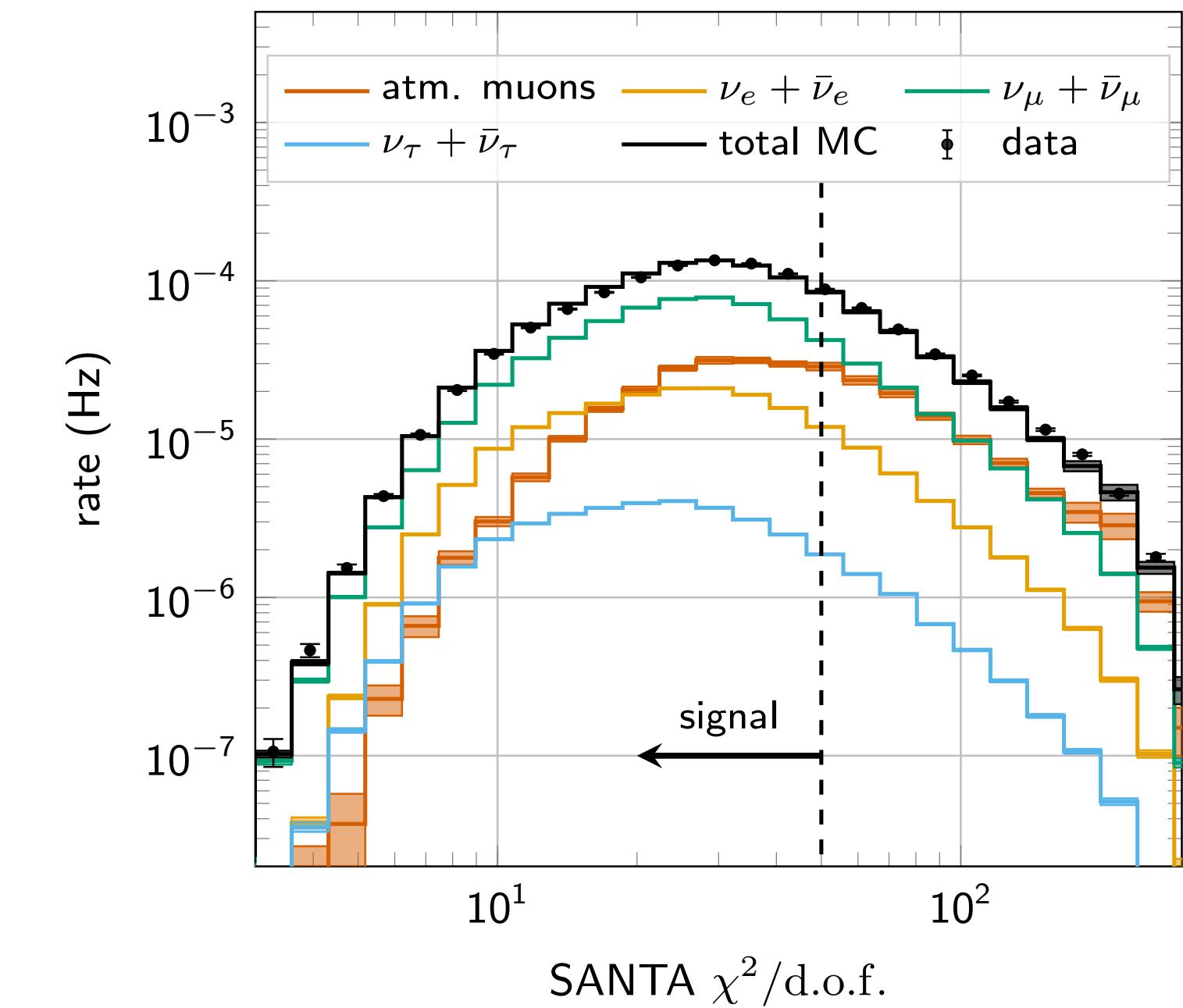
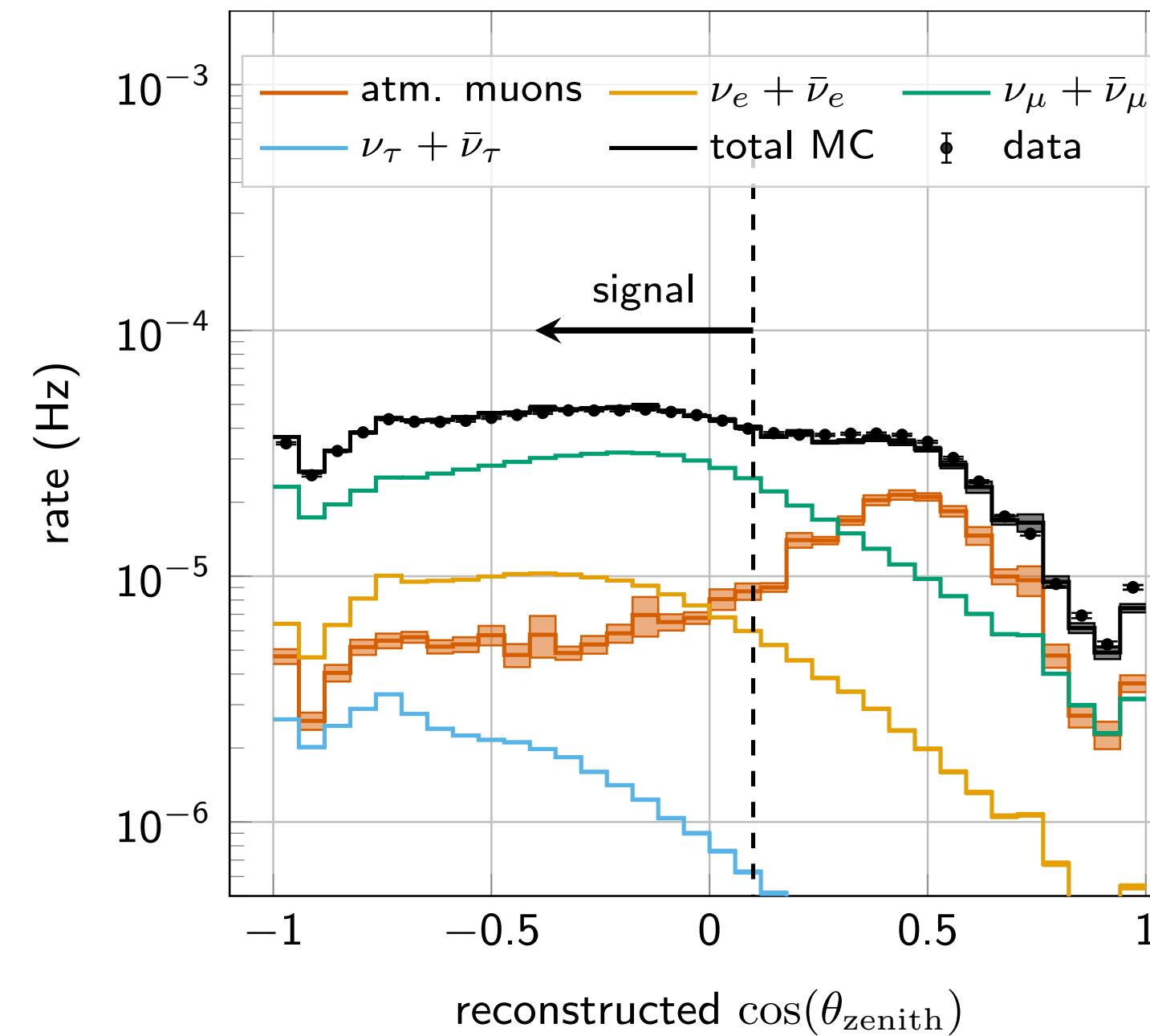
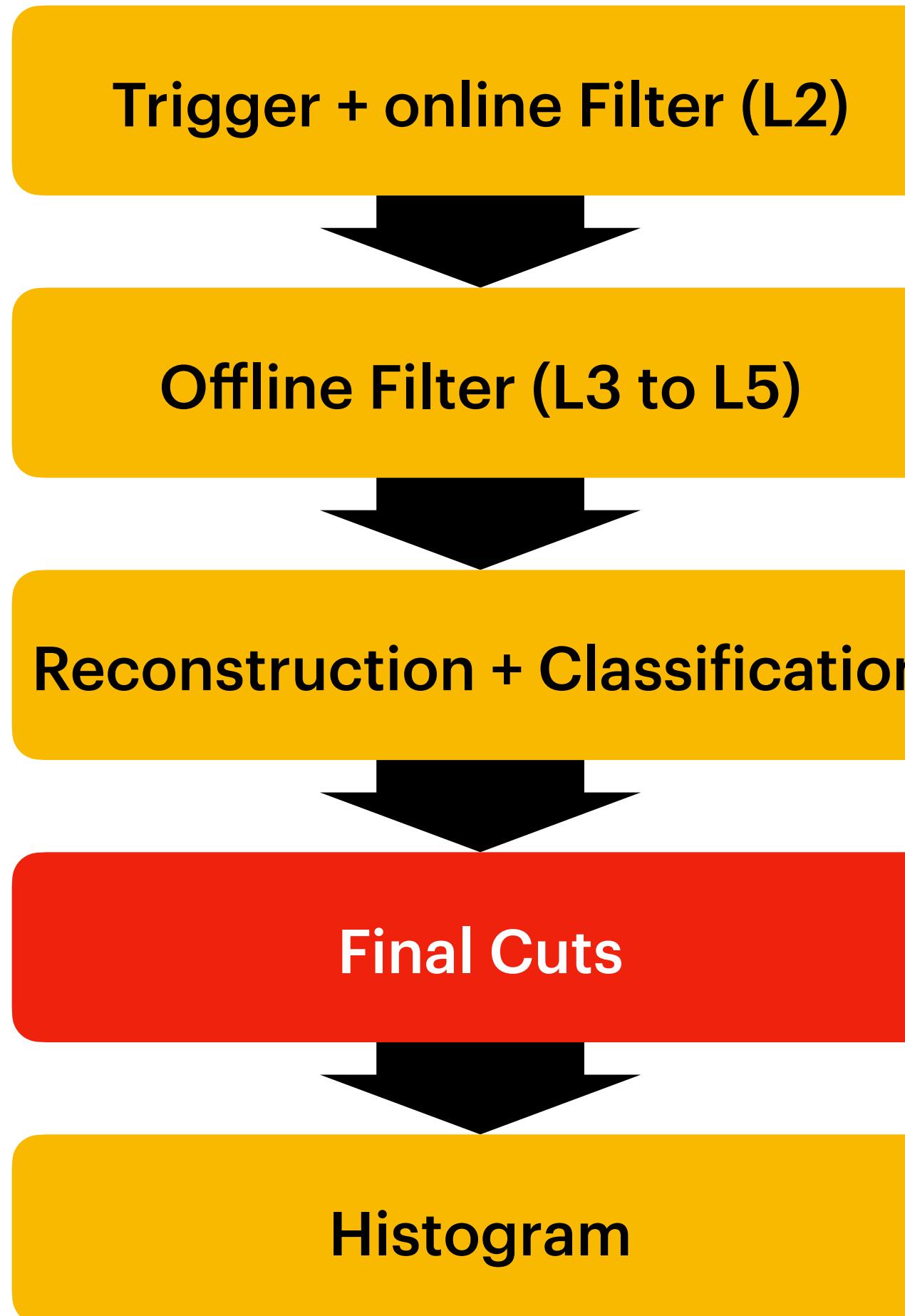


Offline Filter

Reducing background from noise and atm. muons



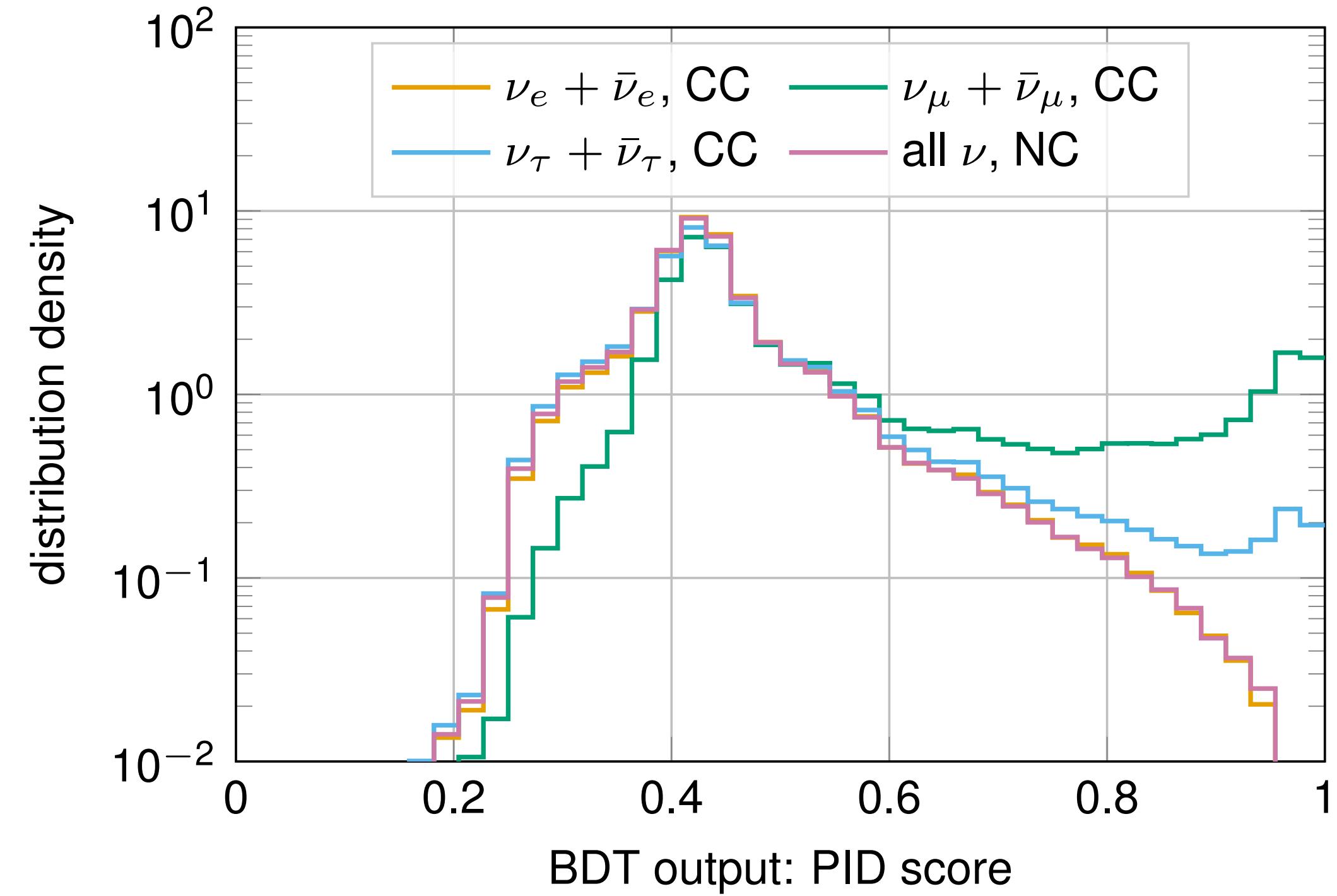
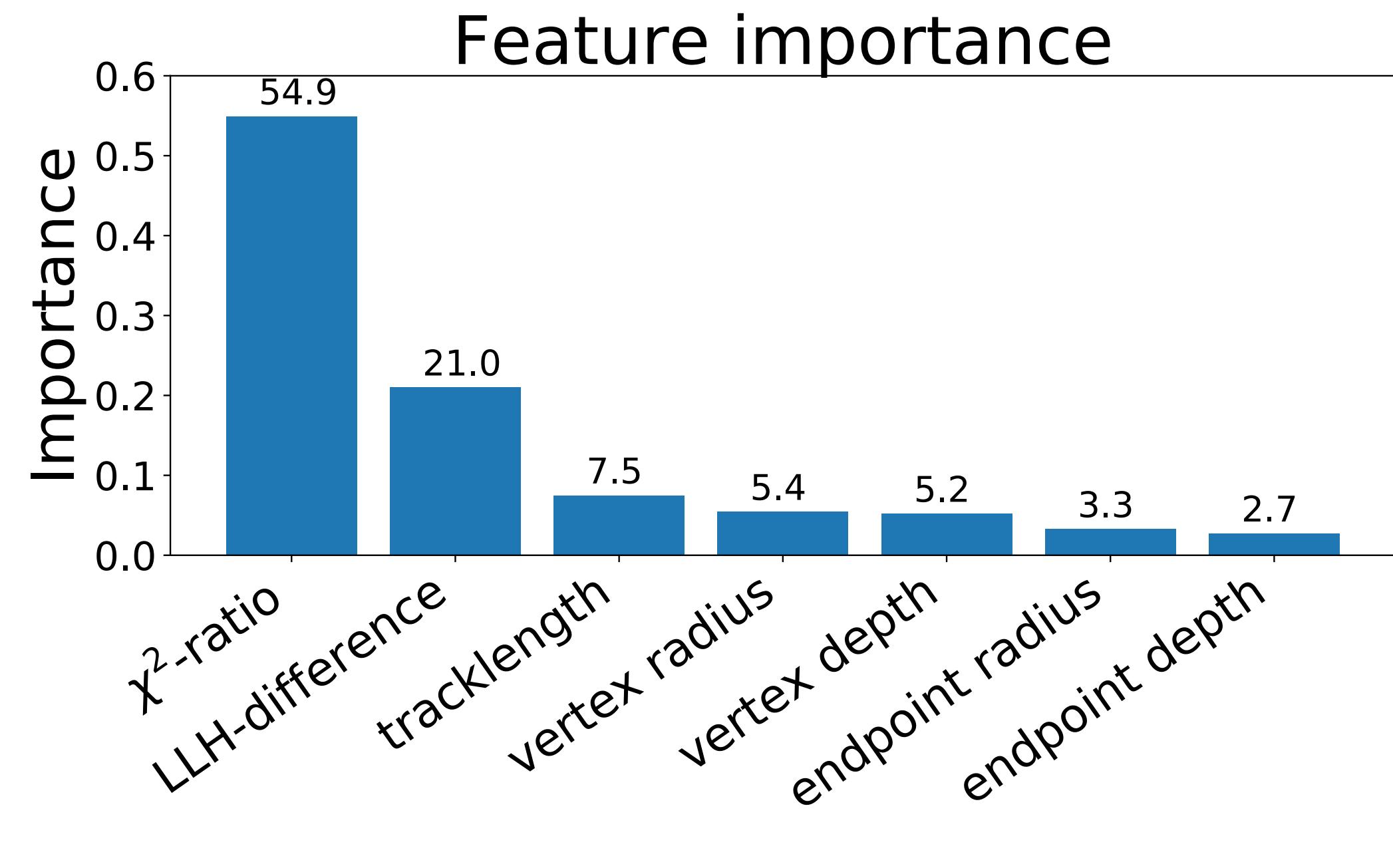
Final Sample Cuts



- Track-like ($\text{PID} > 0.55$), well-reconstructed (reco. χ^2 cut) events from below or only slightly above the horizon ($\cos(\theta_z) < 0.1$)
- Background (atm. muon) reduced to ~2% !

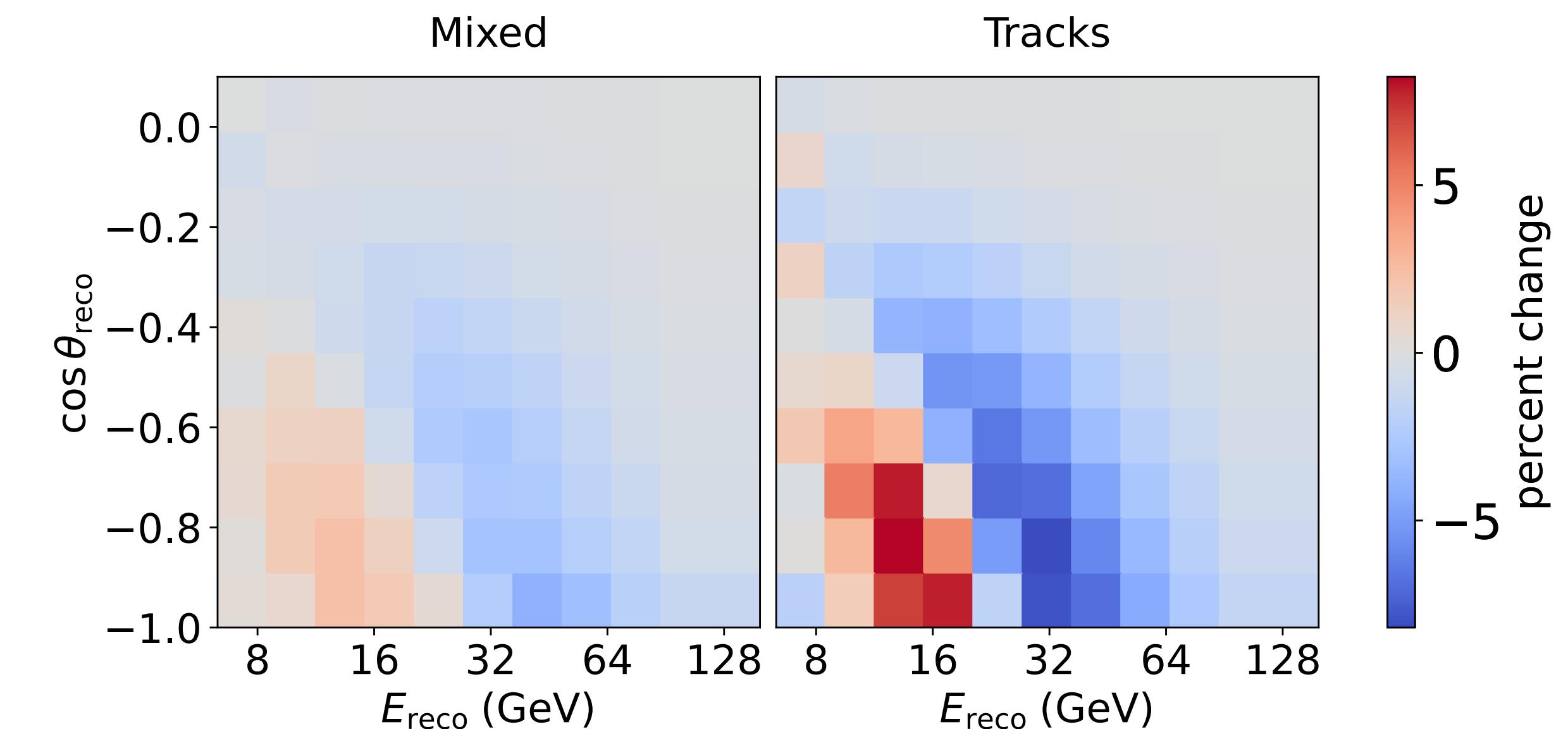
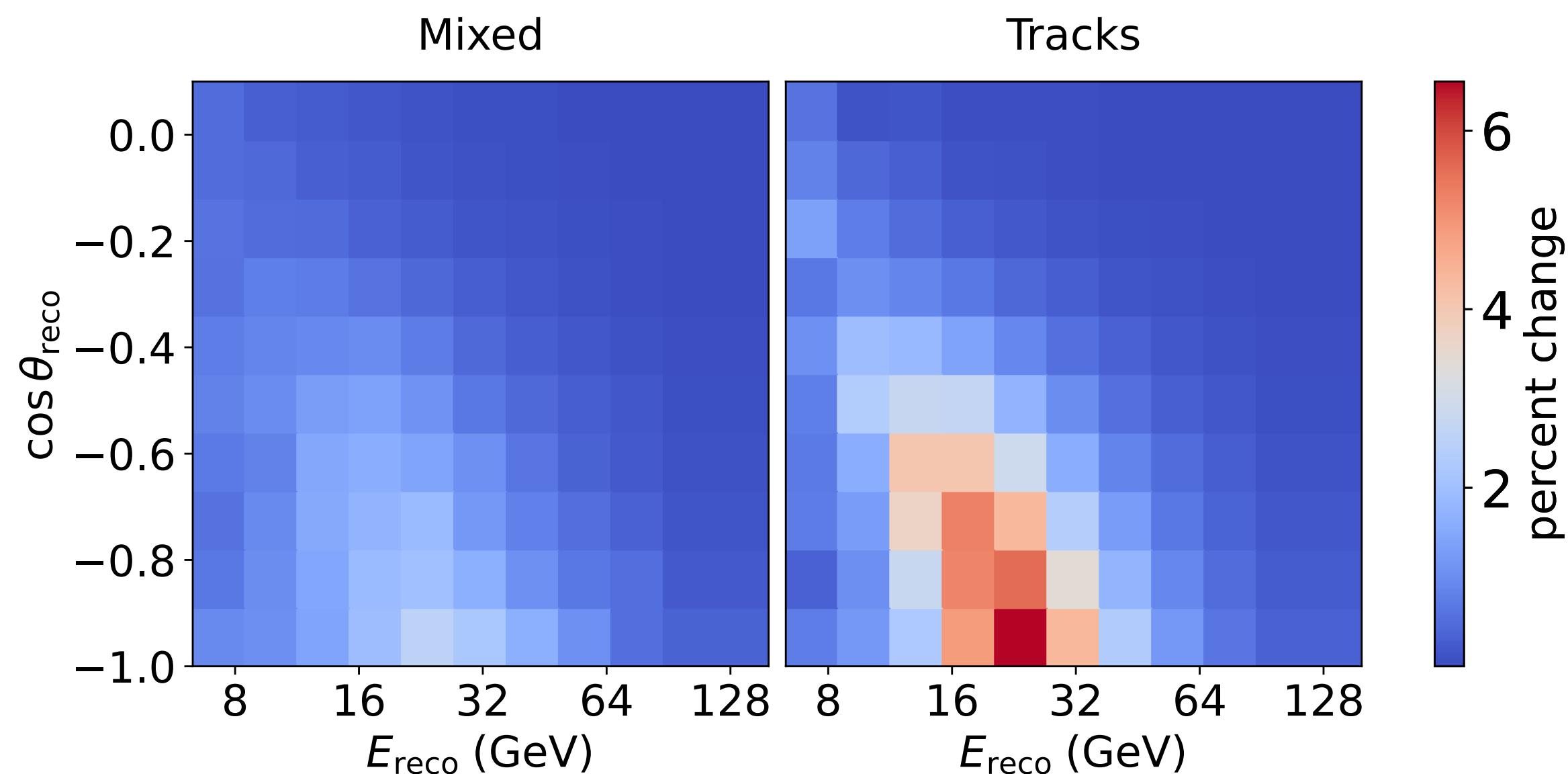
Event PID BDT

Golden Event Sample



Oscillation Signal

Standard three-flavor atmospheric neutrino oscillations

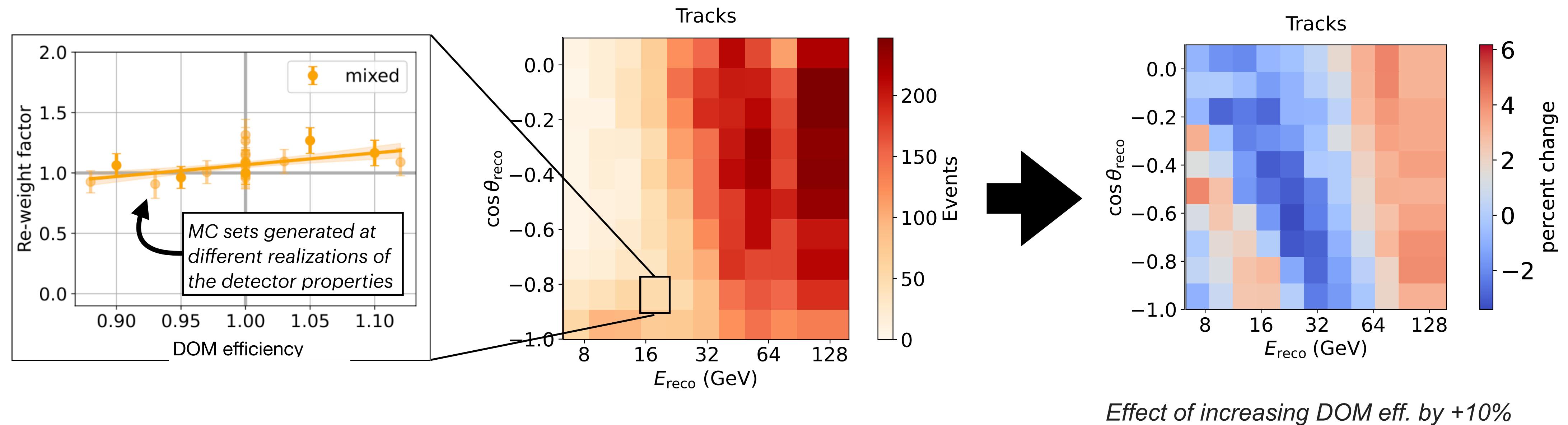


→ Baseline θ_{23} close to maximal → less disappearance when increased

→ Increasing Δm_{23}^2 moves osc. minimum up

Detector Systematics Implementation

Bin-wise gradients

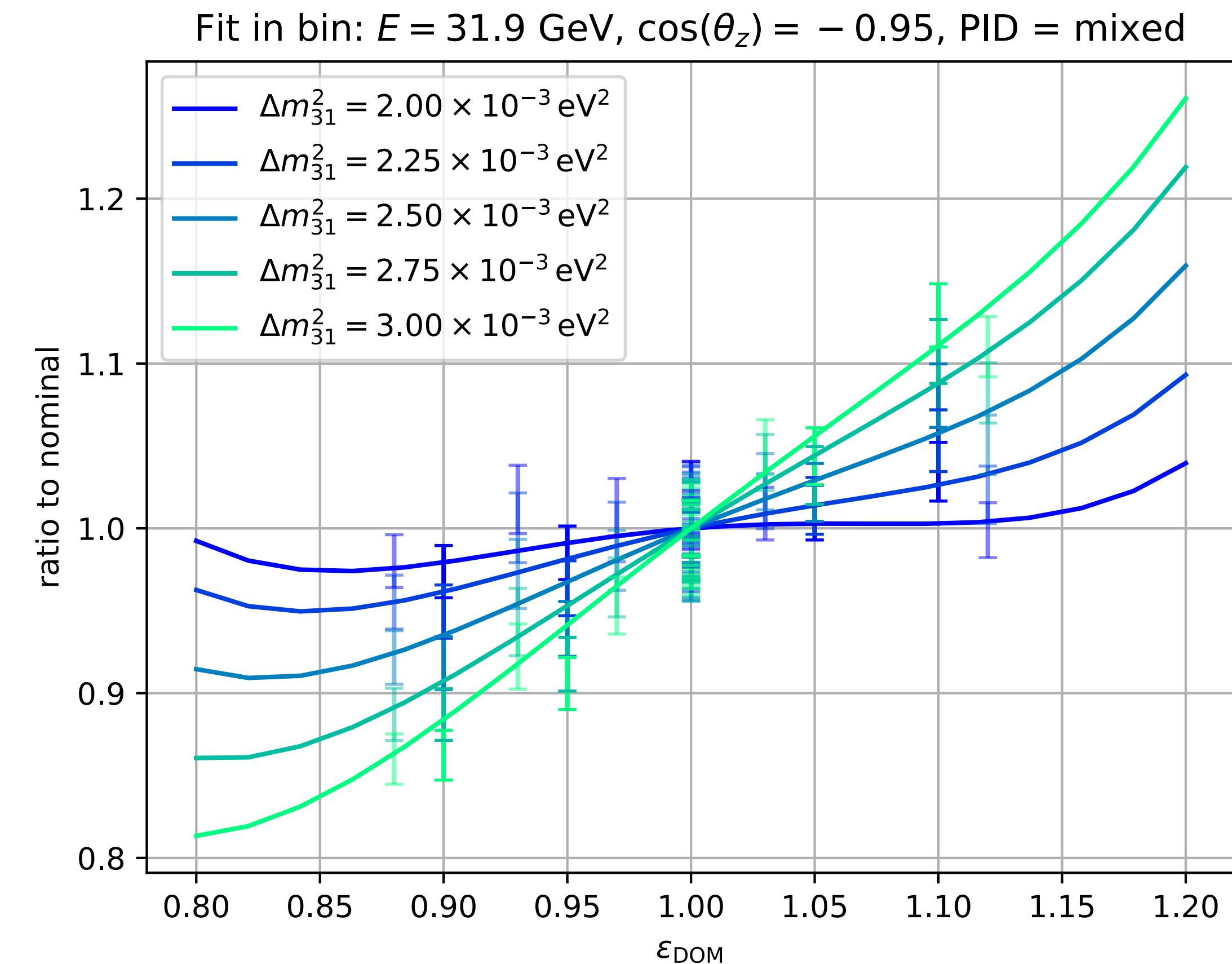


- Linear fit in each bin to estimate re-weighting factor
- Effect of DOM efficiency strongly depends on assumed Δm_{32}^2
- Solution: Fit over grid in Δm_{32}^2 , piecewise-linear interpolate all gradients

Treatment of Detector Systematics

Why a different treatment is needed

- In three-flavor analysis: **bin-wise** gradients
- Detector response depends on assumed oscillation parameters
 - need to decouple detector response from oscillations, flux, etc.
 - new statistical method to get **event-wise** gradients that decouple detector response from flux and oscillation



nuSQuIDS in one slide

- formulate problem in interaction (Dirac) picture

$$H_s(t) = H_0 + H_1(t)$$

- operators evolve with H_0 (exactly solvable part)

$$\bar{O}_I(t) = e^{iH_0t} O_S e^{-iH_0t}$$

- state densities evolve with $H_1(t)$

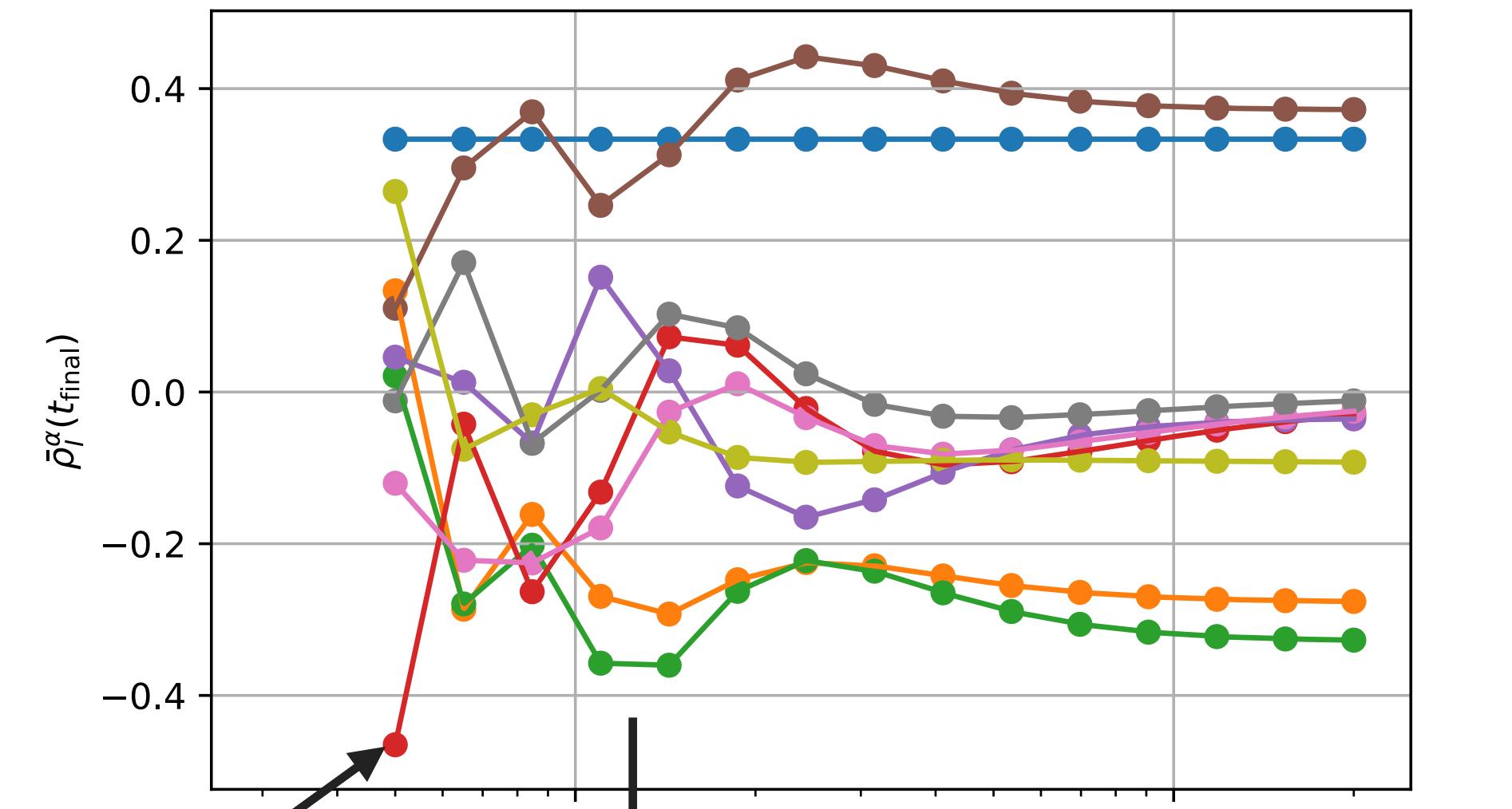
$$\partial_t \bar{\rho}_I(t) = -i[\bar{H}_{1,I}(t), \bar{\rho}_I(t)]$$

- probability to arrive in flavor state i :

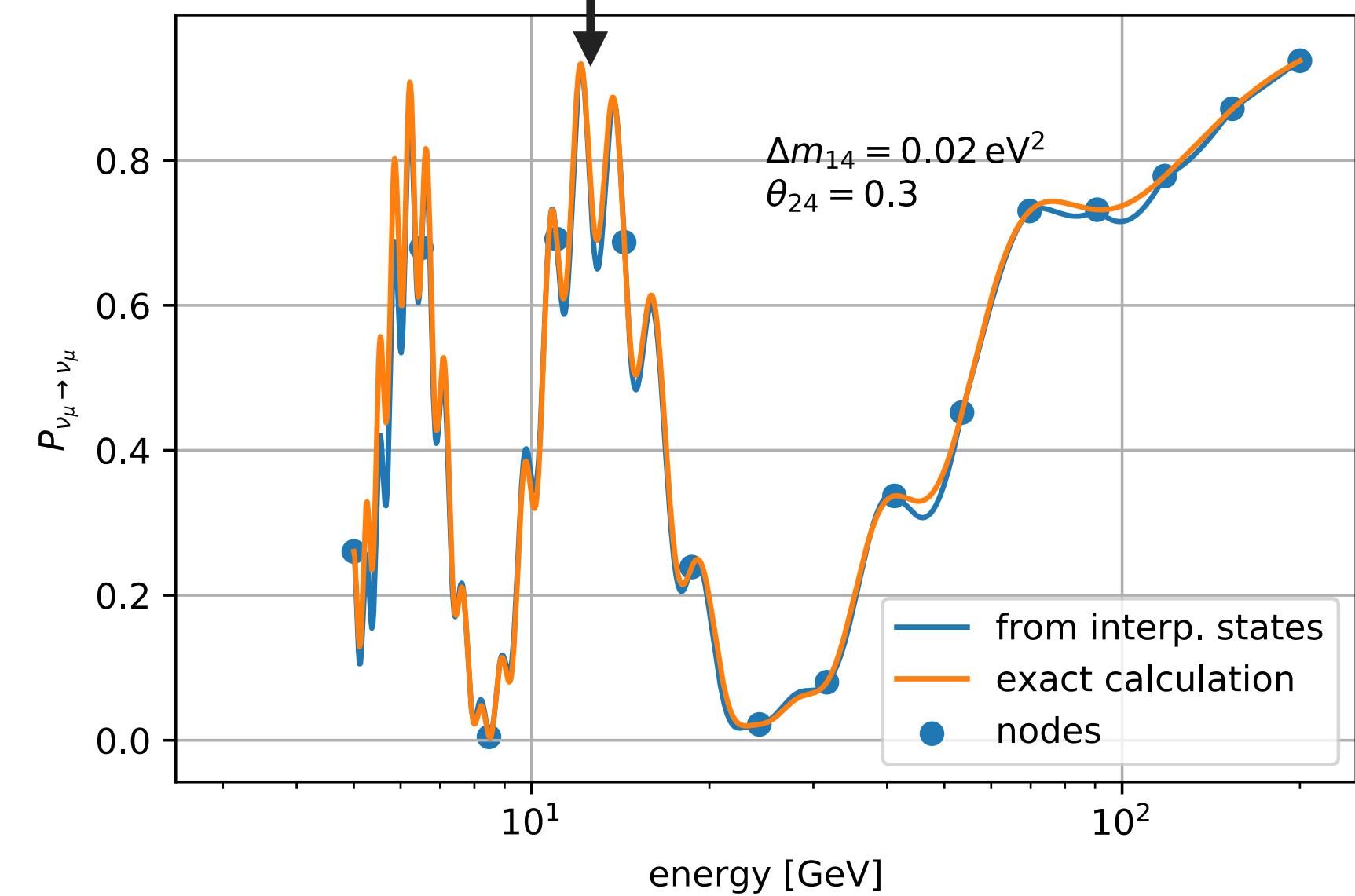
$$p_i(t) = \text{Tr}(\underbrace{\bar{\Pi}^{(i)}(t)}_{\text{projection operator on flavor state } i \text{ evolved with } H_0} \bar{\rho}_I(t))$$

projection operator on flavor state i evolved with H_0

solve numerically at each node

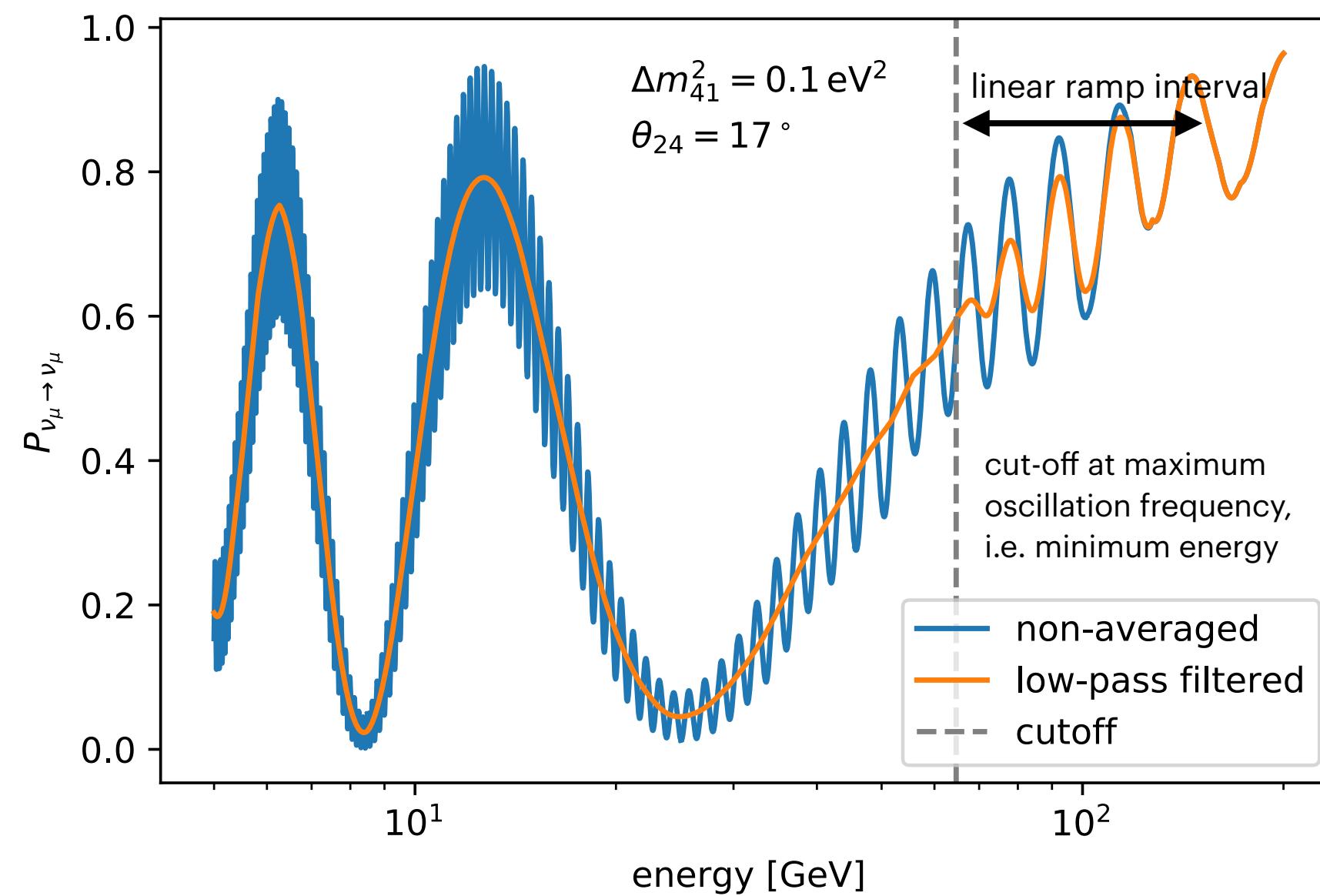


calculate $p_i(t)$ from interpolated $\bar{\rho}_I(t_{\text{final}})$ between nodes



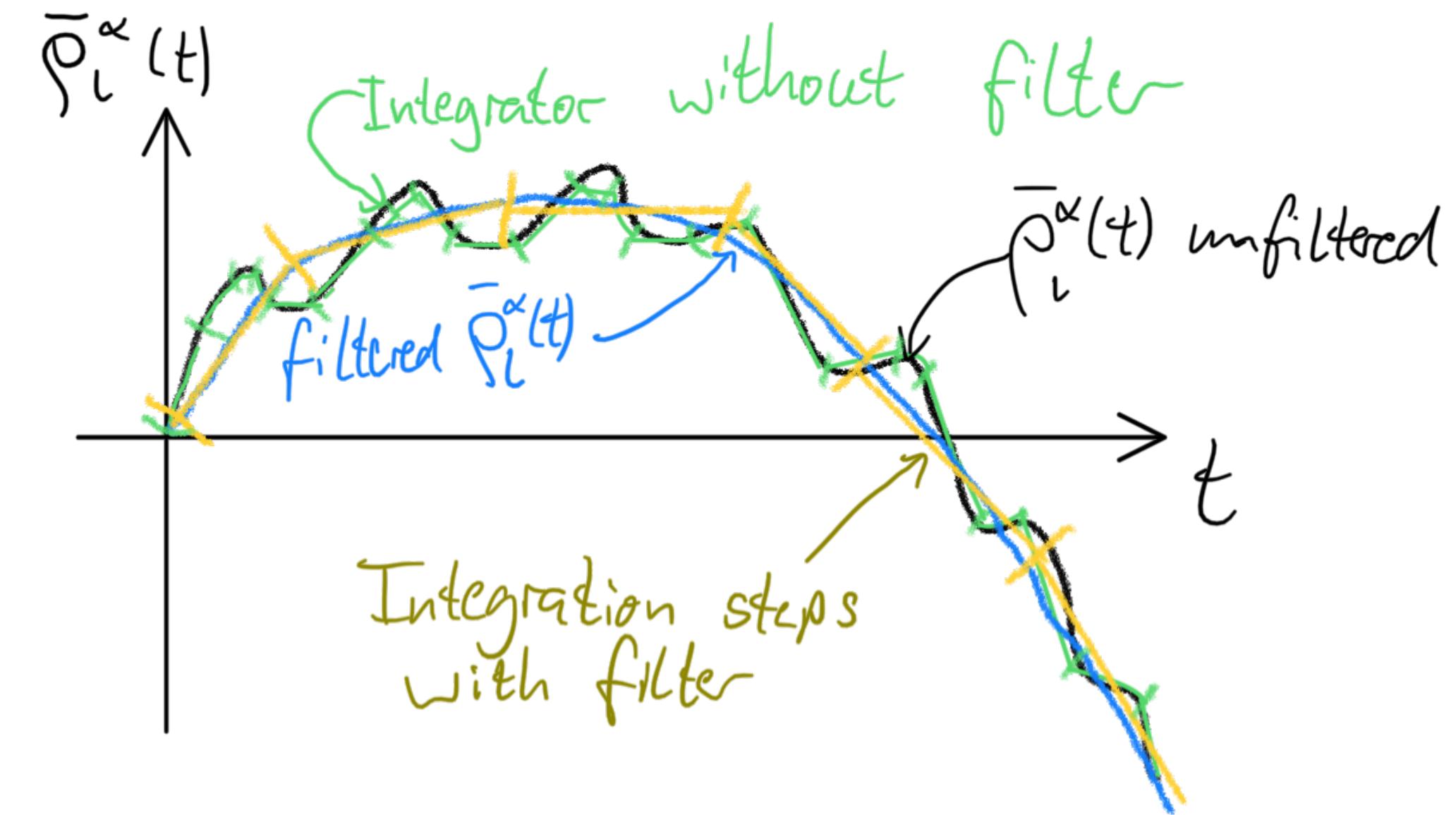
Two Kinds of Low-Pass Filtering

Applied to Trace Operation



Survival probability of a directly up-going muon neutrino in the presence of 0.1 eV^2 sterile neutrinos with low-pass filtering applied to the trace operation.

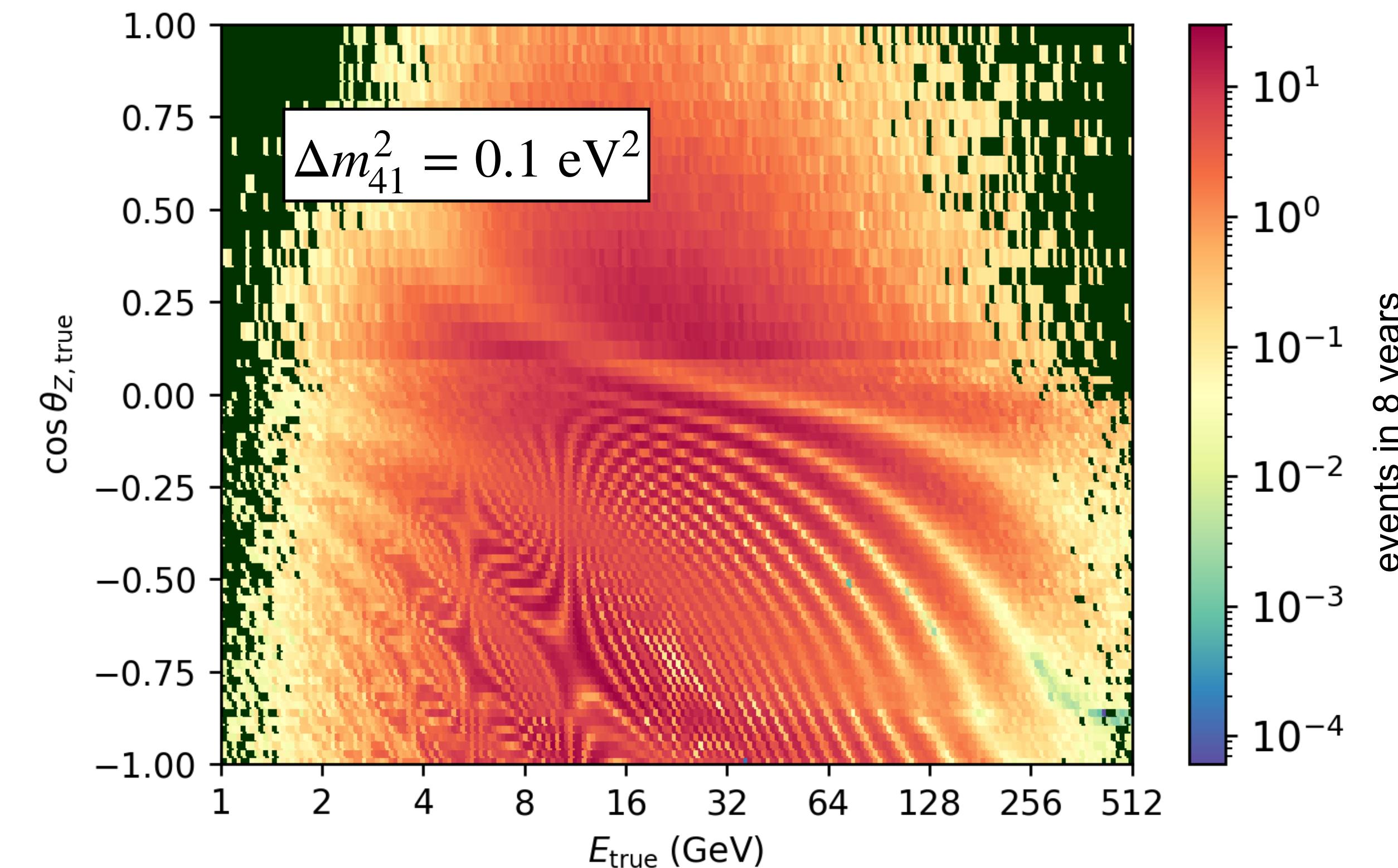
Applied to numerical integration



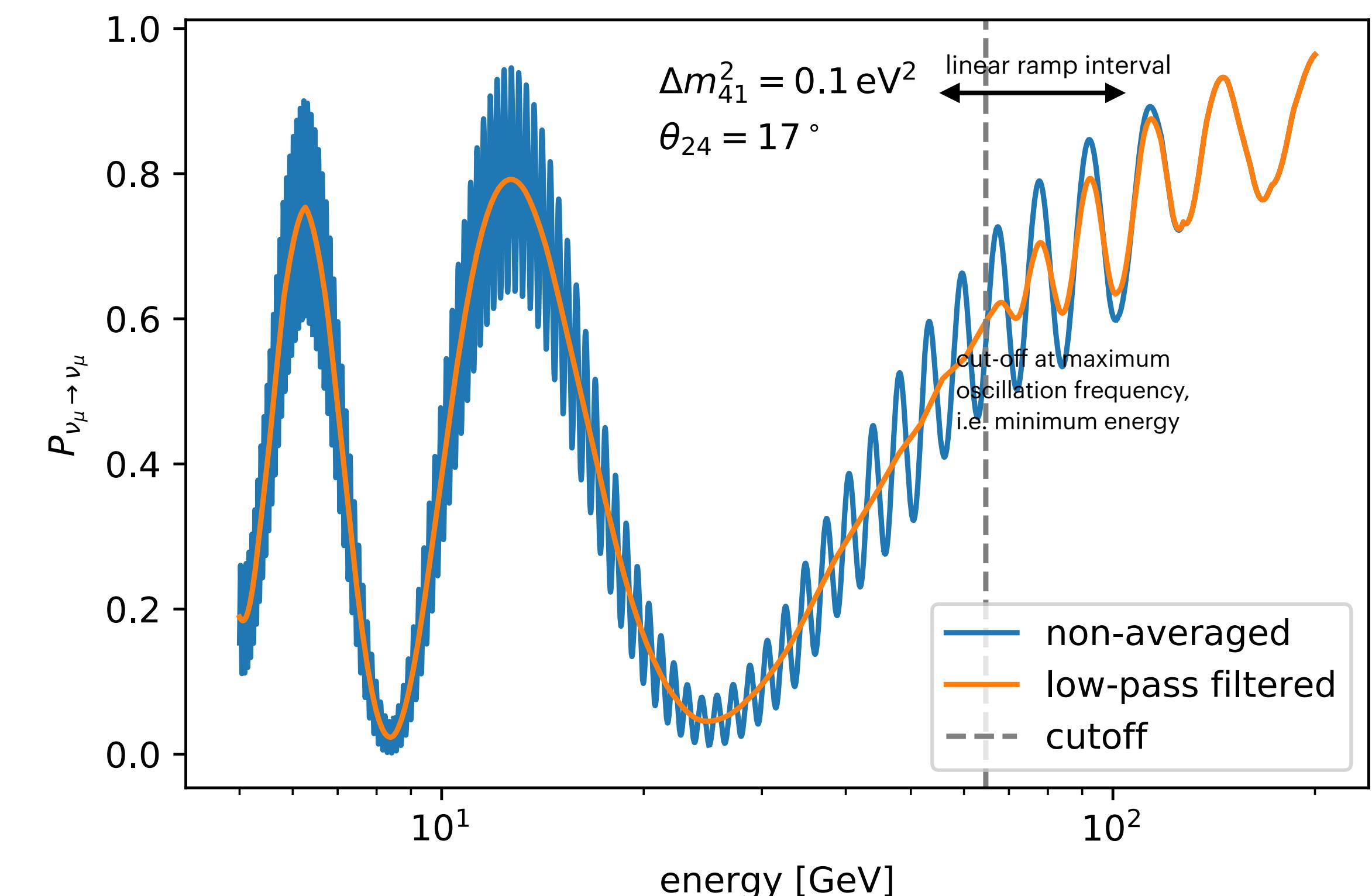
- Replace very fast oscillations by their average amplitude
- Allows calculation on grid
- Filter RHS of time evolution equation
- Greatly speeds up numerical integration

Low-Pass Filtering

Artifacts due to fast oscillations



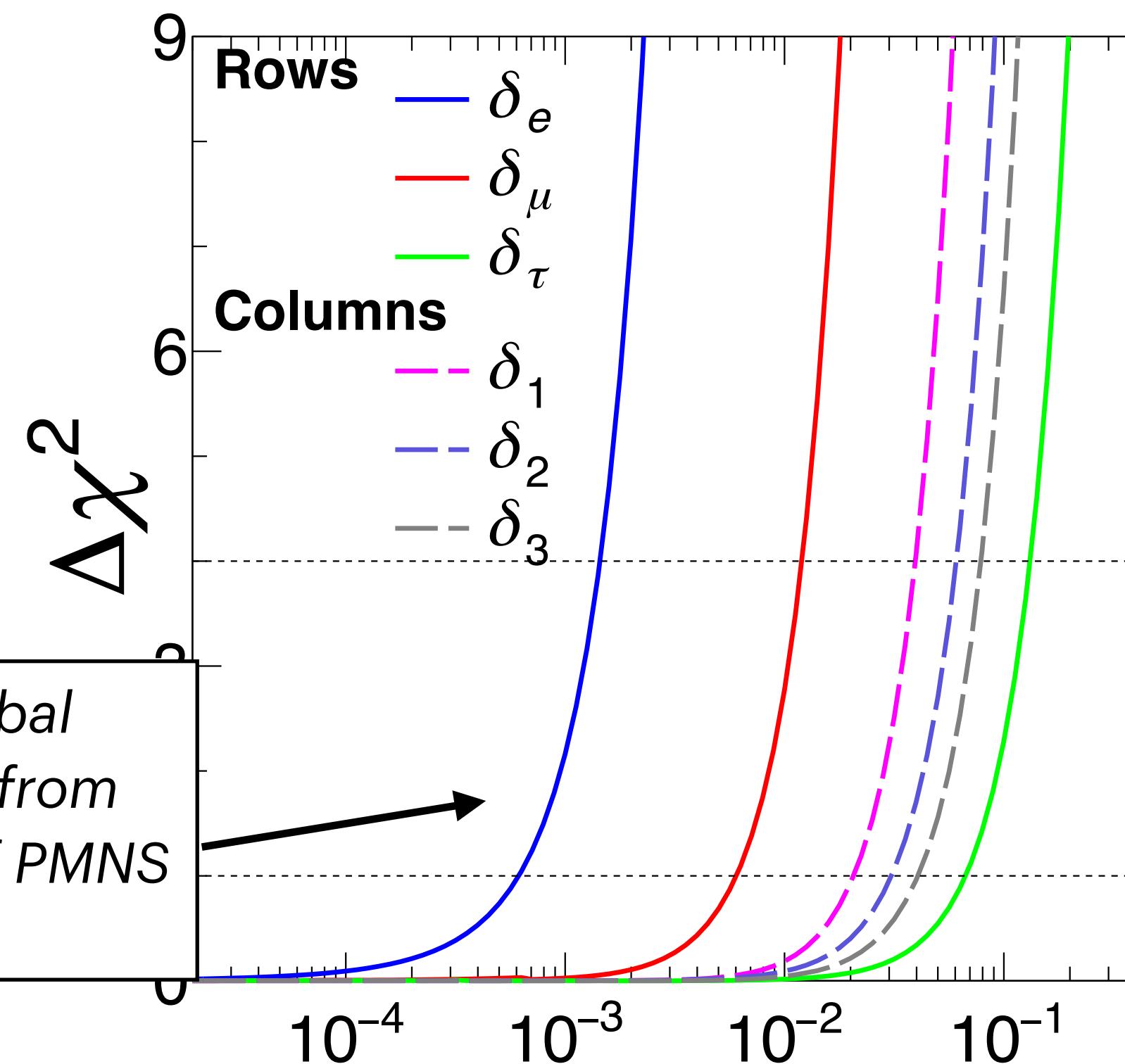
Fast Oscillation Filtering



Why set $|U_{e4}| = 0$?

Already strongly constrained

$$\delta_\alpha = 1 - |U_{\alpha 1}|^2 - |U_{\alpha 2}|^2 - |U_{\alpha 3}|^2 \quad \delta_i = 1 - |U_{ei}|^2 - |U_{ui}|^2 - |U_{\tau i}|^2$$



Constraints from unitarity of PMNS matrix. Hu et al.
(2021)

Expecting no leading-order effect in $\nu_\mu \rightarrow \nu_\mu$ channel

Meloni, Tang & Winter (2010)

$$U = R_{34}(\theta_{34}, 0)R_{24}(\theta_{24}, 0)R_{14}(\theta_{14}, 0)R_{23}(\theta_{23}, \delta_3) \\ \times R_{13}(\theta_{13}, \delta_2)R_{12}(\theta_{12}, \delta_1).$$

Analytical expression assuming $\Delta m_{41}^2 \gg \Delta m_{31}^2$ and long baseline (measuring Δm_{31}^2 , Δm_{41}^2 averaged out):

$$\mathcal{P}_{ee} = 1 - 2s_{14}^2 - 4s_{13}^2\Delta_{31}^2 \frac{\sin^2(\Delta_{31} - \Delta_e)}{(\Delta_{31} - \Delta_e)^2}, \quad \Delta_{ij} \equiv \Delta m_{ij}^2 L / (4E)$$

$$\mathcal{P}_{\mu\mu} = \cos^2(\Delta_{31})(1 - 2s_{24}^2) + 8\hat{s}_{23}^2 \sin^2(\Delta_{31}) \\ + c_{12}^2 \Delta_{12} \sin(2\Delta_{31}) + \quad (13)$$

$$2s_{24}s_{34} \cos \delta_3 \Delta_n \sin(2\Delta_{31}) - 2s_{13}^2 \Delta_{31} \cos(\Delta_{31}) \\ \times \frac{(\Delta_{31} - \Delta_e)\Delta_e \sin(\Delta_{31}) - \Delta_{31} \sin(\Delta_{31} - \Delta_e) \sin(\Delta_e)}{(\Delta_{31} - \Delta_e)^2}, \quad (14)$$

Approximate Vacuum Oscillation Equations

Long Baseline 3+1 Model

$$U = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} & U_{e4} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} & U_{\mu 4} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} & U_{\tau 4} \\ U_{s1} & U_{s2} & U_{s3} & U_{s4} \end{pmatrix}$$

$$\Delta_{ij} = \Delta m_{ij}^2 L / 4E$$

$$P(\nu_\alpha \rightarrow \nu_\beta) = \delta_{\alpha\beta} - 4 \sum_{i < j} \text{Re}[U_{\alpha i} U_{\beta i}^* U_{\alpha j}^* U_{\beta j}] \sin^2(\Delta_{ij}) + 2 \sum_{i < j} \text{Im}[U_{\alpha i} U_{\beta i}^* U_{\alpha j}^* U_{\beta j}] \sin(2\Delta_{ij})$$

Simplifying Assumptions:

- $\Delta_{41} = \Delta_{42} = \Delta_{43} \gg \Delta_{32}$
- Δ_{32} is measureable
- $\Delta_{21} = 0$ (neglect solar mass splitting)
- $\sin^2(\Delta_{41}) = 1/2$ (replace rapid oscillation by average)

Oscillation Channels

$$P_{\mu\mu} = 1 - 2|U_{\mu 4}|^2(1 - |U_{\mu 4}|^2) - 4|U_{\mu 3}|^2(1 - (|U_{\mu 3}|^2 + |U_{\mu 4}|^2)) \sin^2 \Delta_{32}$$

$$P_{\mu\tau} = 2|U_{\mu 4}|^2|U_{\tau 4}|^2$$

$$-4 \sin [\Delta_{32}] \left(\cos [\Delta_{32}] \text{Im} \left[U_{\tau 3} U_{\mu 3}^* \left(U_{\mu 1} U_{\tau 1}^* + U_{\mu 2} U_{\tau 2}^* \right) \right] + \text{Re} \left[U_{\tau 3} U_{\mu 3}^* \left(U_{\mu 1} U_{\tau 1}^* + U_{\mu 2} U_{\tau 2}^* \right) \right] \sin [\Delta_{32}] \right)$$

Matter Enhanced Sterile Search: Observed Events

