





# Cross sections update from GSI 2021 data

#### Giacomo Ubaldi

#### XIII FOOT Collaboration Meeting, Perugia

13/12/2022

# **GSI 2021 Analysis**

- Data-taking at GSI (Darmstadt, Germany) in 2021
- 16O 400 MeV/u on 5 mm C target
- Partial setup: no magnet, only one module of calorimeter





#### My analysis goal:

- Elemental fragmentation cross section measurements
- Angular differential cross section measurements for every charge

To compute elemental cross section and angular differential cross section:

$$\sigma(Z) = \frac{Y(Z) - B(Z)}{N_{beam} N_{target} \epsilon(Z)} \quad \frac{d\sigma}{d\theta}(Z, \theta) = \frac{Y(Z, \theta) - B(Z, \theta)}{N_{beam} N_{target} \Omega_{\theta} \epsilon(Z, \theta)}$$

- **Y:** fragment counts
- **Bkg:** background source counts
- **N**<sub>beam</sub>: n° of primary events
- **N**<sub>target</sub>: n° of scattering centers per unit area
- **E:** efficiency
- $\boldsymbol{\Omega}_{\boldsymbol{\vartheta}}$ : angular phase space
- Event reconstruction in SHOE with Global Tracking (Matteo F., Roberto Z.)
- Analysis procedure in **Python** code

2

$$\sigma(Z) = \frac{Y(Z) - B(Z)}{N_{beam} N_{target} \epsilon(Z)}$$

1) Starting from a **MC dataset** of 10<sup>6</sup> events generated by FLUKA to simulate detectors and beams of GSI 2021 campaign.



Giacomo Ubaldi

1) Starting from a **MC dataset** of 10<sup>6</sup> events generated by FLUKA to simulate detectors and beams of GSI 2021 campaign.

- 2)Yield of Z obtained from reconstructed tracks
  - Exploiting tracking reconstruction algorithm
  - Simulating a "trigger" in order to consider only fragments



#### Z yield and Bkg sources



1) Starting from a **MC dataset** of 10<sup>6</sup> events generated by FLUKA to simulate detectors and beams of GSI 2021 campaign.

#### 2)Yield of Z obtained from reconstructed tracks

- Exploiting tracking reconstruction algorithm
- Simulating a "trigger" in order to consider only fragments

- 3)Background obtained from MC cuts on:
  - Charge algorithm mis-reconstruction
  - Tracking algorithm mis-reconstruction



#### Z yield and Bkg sources



Before and after background removal: more diagonal migration matrix → less noise sources



4

 $\sigma(Z) = \frac{Y(Z) - B(Z)}{N_{beam} N_{target} \epsilon(Z)}$ 

4) Track efficiency obtained as:

$$\epsilon(Z) = \frac{N_{track}(Z)}{N_{true}(Z)}$$

#### where

- N<sub>track</sub> is obtained by tracking algorithm
- $N_{true}$  are generated particles from the simulation with angular acceptance  $\theta \leq 8^{\circ}$



#### 5 XIII FOOT Collaboration Meeting

# MC Closure test elemental cross section

$$\sigma(Z) = \frac{Y(Z) - B(Z)}{N_{beam} N_{target} \epsilon(Z)}$$

- Fiducial (θ≤8°) elemental cross section
- Only statistical errors

6

- comparing the MC data-like cross sections with the MC generated ones.
- understanding the **reliability** of the analysis chain and algorithms  $\rightarrow$  **solid analysis**



Charge	$\sigma_{reco}(mb)$	$\sigma_{MC}({ m mb})$
Z = 1	$946 \pm 9$	$949 \pm 4$
Z = 2	$762\pm7$	$770 \pm 4$
Z = 3	$74.1 \pm 1.3$	$74.1 \pm 1.2$
Z = 4	$35.3\pm1.5$	$35.2 \pm 1.2$
Z = 5	$37.4 \pm 1.6$	$37.2 \pm 1.7$
Z = 6	$82.8 \pm 1.7$	$79.3 \pm 1.2$
Z = 7	$97.3 \pm 1.4$	$103.0\pm1.5$

## MC Closure test angular differential cross section

 $\frac{d\sigma}{d\Omega} = \frac{d\sigma}{d\theta} \cdot \frac{1}{sen(\theta) \cdot 2\pi}$ 



Z=5







Z=6



# **Experimental data**

#### run 4306 (Minimum Bias)

• Vertex synchronization lost after 65k events:



Bm-vtx correlation from 65k to 75 k evts

Thanks to Yun

Using a sampling of 65k evts in the following analysis → it could be small statistics

8

Bm-vtx correlation up to 65 k evts

# Alignment

- At the beginning, very low ability in *global tracking* reconstruction
  - $\rightarrow$  important improvements with new alignment of detectors in geometry



# Alignment

- At the beginning, very low ability in *global tracking* reconstruction
  - $\rightarrow$  important improvements with new alignment of detectors in geometry



# **Experimental results** elemental cross section

$$\sigma(Z) = \frac{Y(Z) - B(Z)}{N_{beam} \; N_{target} \; \epsilon(Z)}$$

• experimental results



Elemental Cross Section

experimental results and comparison with MC

Highest discrepancy for elements with high angular distribution (see next)

# **Alignment - global track**

٠

#### Reference system with beam (X,Y) in (0,0)

track X position vs Y position

Global tracks XY profile

The beam is shifted on X axis of  $\sim$ 0.01 cm

Global tracks theta angle



It seems only "straight" (<3°) tracks are reconstructed (however the statistics is low)

#### **11** XIII FOOT Collaboration Meeting

# **Experimental results** angular differential cross section





#### 13 XIII FOOT Collaboration Meeting

#### Thank you for the attention

#### • For the analysis: Increase the statistics

**Future perspectives:** 

Including systematic uncertainties Including unfolding to correct for migrations

#### • For the global tracking reconstruction:

Deeper studies about alignment and detector components

- Analysis strategy checked by **MC** events with a **solid closure test**
- First preliminary results of **experimental** cross sections with full reconstruction algorithm

# **Conclusions**





# **Backup slides**

# **Backup slides**

Analysis

## **Example: Track reconstruction**

 It is possible that every bar layer of the TW is hit by more than a fragment at the same time: multiple hits / ghost hits mis-reconstruction



# **Reconstruction, Track Algo**

- Another source of systematics can be the way points are collected in a track
- In the best scenario, all points belong to the same particle:



# **Reconstruction, Track Algo**

• However, due to the presence of a lot of secondary fragmentation, some points can belong to other particles.



Wrong points collected in the track

- The McId of the track is given by the most present particle in the collection
- However, if the TWPoint is of another particle  $\rightarrow$  its McId is different
- $\rightarrow$  filter out all the tracks in which  $Mcld_{track} \neq Mcld_{TWPoint}$

# **Implementation of Unfolding**





# $\mathbf{y}_{i} = \mathsf{M}_{ij} \mathbf{x}_{j}$ $\longrightarrow \mathbf{x}_{j} = \mathsf{M}_{ij}^{-1} \mathbf{y}_{i}$

 Little variation because the migration matrix is very diagonal



Giacomo Ubaldi

#### Thanks to Sofia C.

5

## **Backup slides**

Alignment studies

# **Alignment - global track wrt BM direction**

#### Reference system with beam (X,Y) in (0,0)



#### 13 XIII FOOT Collaboration Meeting

# **BM and VT XY PROFILE**





Position of VT track When no global track Reconstruction vs event

→ specific pattern beam spill?

# **Alignment - residuals**



# Alignment

#### vertex





29