## Dark matter up-scattered by cosmic rays

#### Closing the window of strongly interacting DM ?

Torsten Bringmann

Based on

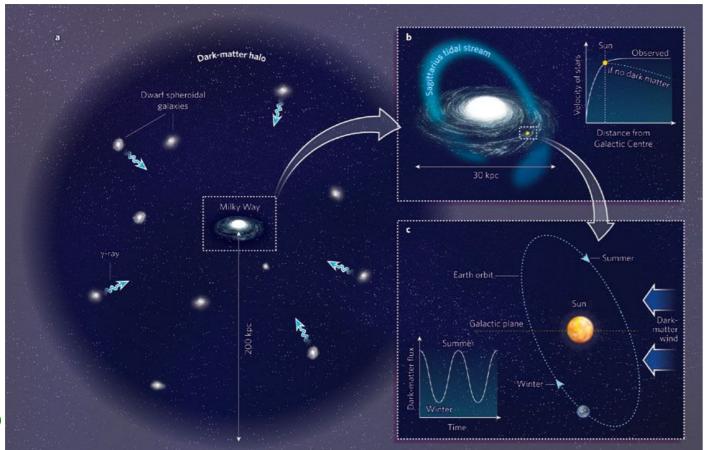
TB & Pospelov, PRL '18

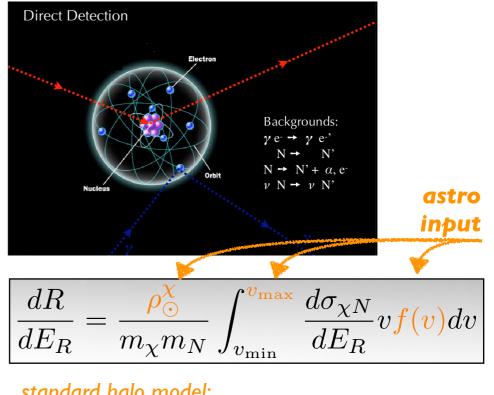
Bondarenko, Boryarsky, TB, Hufnagel, Schmidt-Hoberg & Sokolenko, JHEP '20

Alvey, TB & Kolešová, JHEP '23



#### Direct detection in a nutshell



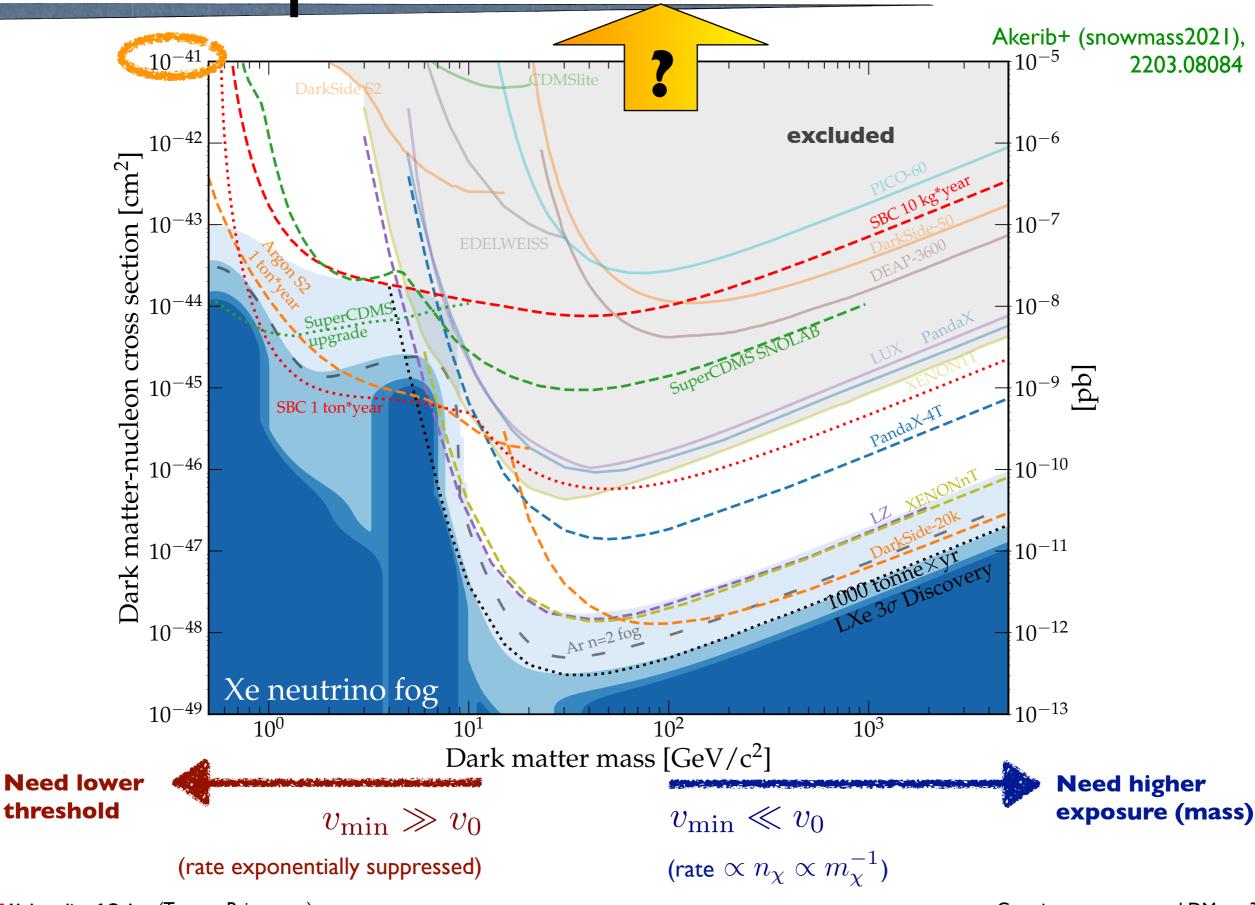


$$f(v) \sim (\pi v_0^2)^{-rac{3}{2}} e^{-rac{\mathbf{v}^2}{v_0^2}} \qquad v_0 \sim 220 \, \mathrm{km/s}$$

UiO: University of Oslo (Torsten Bringmann)

Cosmic-ray up-scattered DM - 2

#### A vast experimental effort

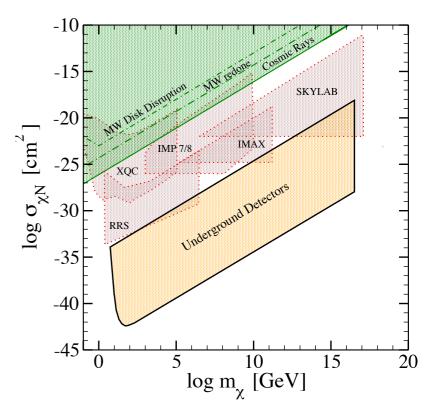


### Strongly interacting dark matter ?

Dark matter scattering too efficiently with nucleons would not reach the detector!

Starkman, Gould, Esmailzadeh & Dimopoulos, PRD '90

Possibility of unconstrained window of strongly interacting dark matter ? Zaharijas & Farrar, PRD '05 Mack, Beacom & Bertone, PRD '07



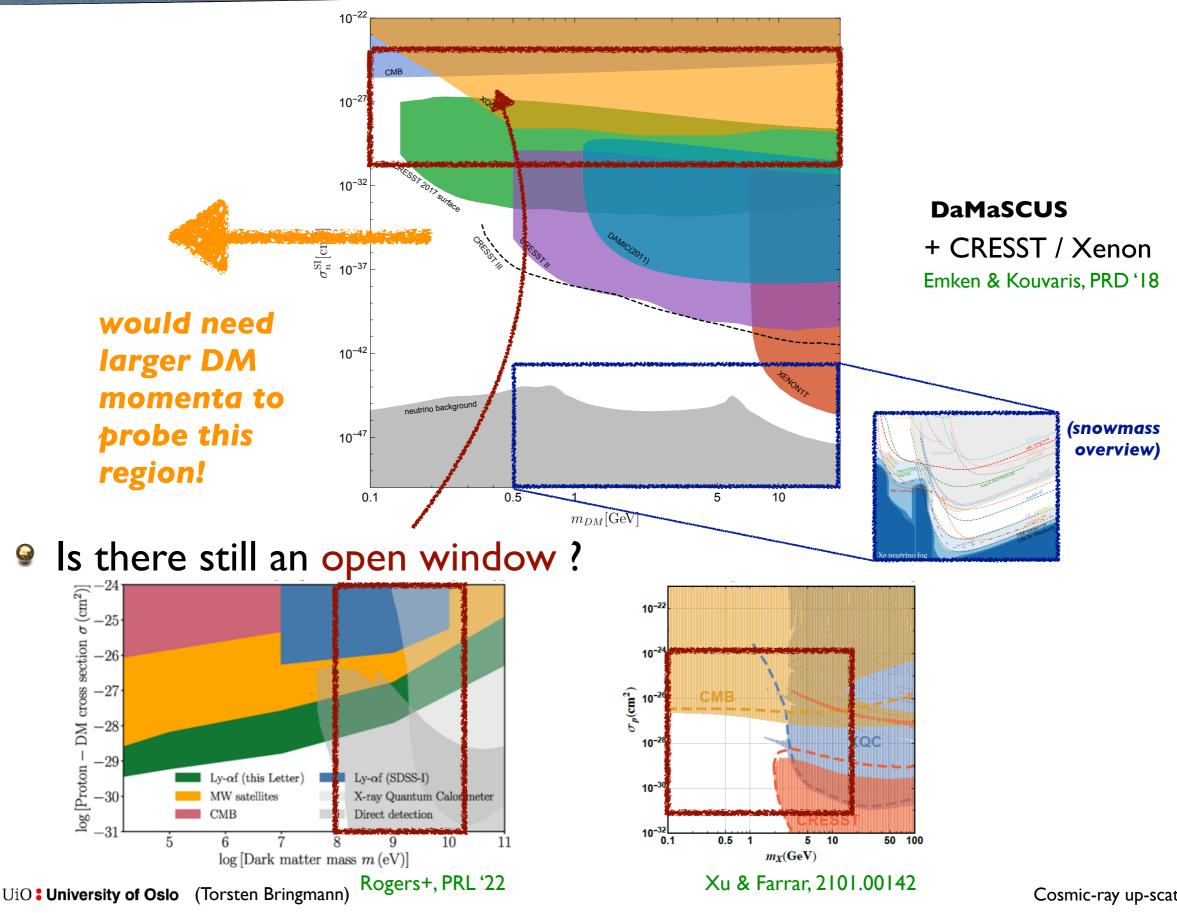
Simplest approach: model continuous loss of average energy down to detector location

$$\frac{dT_{\chi}^z}{dz} = -\sum_N n_N \int_0^{\omega_{\chi}^{\max}} d\omega_{\chi} \frac{d\sigma_{\chi N}}{d\omega_{\chi}} \omega_{\chi}$$

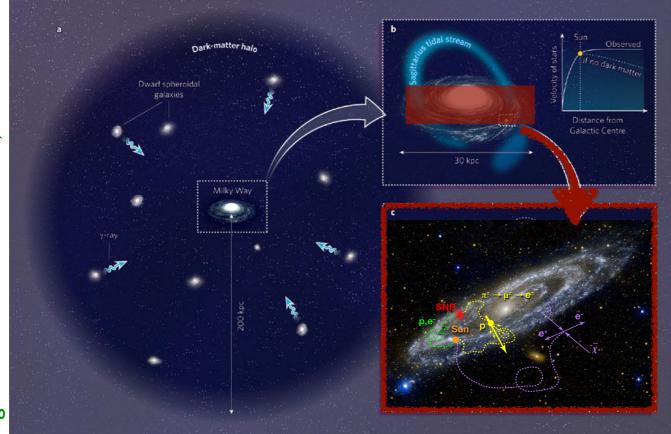
 $\omega_{\chi} : \text{DM energy loss per collision} \\ = \text{nuclear recoil energy}$ 

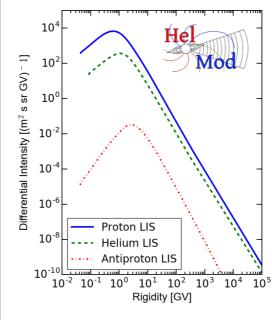
exponential suppression, with mean free path  $\ell \sim \left(\sum n_N \sigma_{\chi N}\right)$ 

#### Status at low masses / large interactions

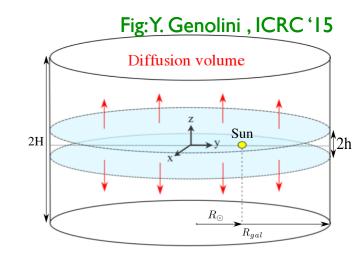


### The dark matter + diffusive halo





Local interstellar flux well constrained by Voyager, AMS, ...



Below ~I PeV,
 cosmic rays confined
 by magnetic fields

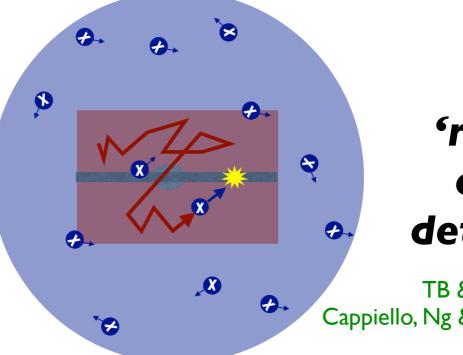
- This leads to an inevitable
  CRDM component
- very high velocities
   ~isotropic
   ID velocity distribution
   standard halo model

 $\times 10^{-4}$ 

10-2

n

10-



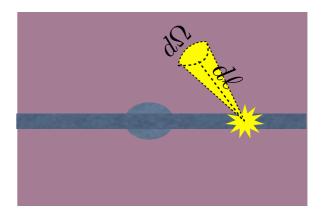
# 'reverse direct detection'

TB & Pospelov, PRL '18 Cappiello, Ng & Beacom, PRD '19

### CRDM flux

#### Differential flux at top of the atmosphere (TOA)

$$\frac{d\Phi_{\chi}}{dT_{\chi}} = \int \frac{d\Omega}{4\pi} \int_{\text{l.o.s.}} d\ell \frac{\rho_{\chi}}{m_{\chi}} \sum_{N} \int_{T_{N}^{\min}}^{\infty} dT_{N} \frac{d\sigma_{\chi N}}{dT_{\chi}} \frac{d\Phi_{N}}{dT_{N}}$$
$$\equiv \underbrace{D_{\text{eff}}}_{m_{\chi}} \frac{\rho_{\chi}^{\text{local}}}{m_{\chi}} \sum_{N} \int_{T_{N}^{\min}}^{\infty} dT_{N} \frac{d\sigma_{\chi N}}{dT_{\chi}} \frac{d\Phi_{N}^{\text{LIS}}}{dT_{N}}.$$

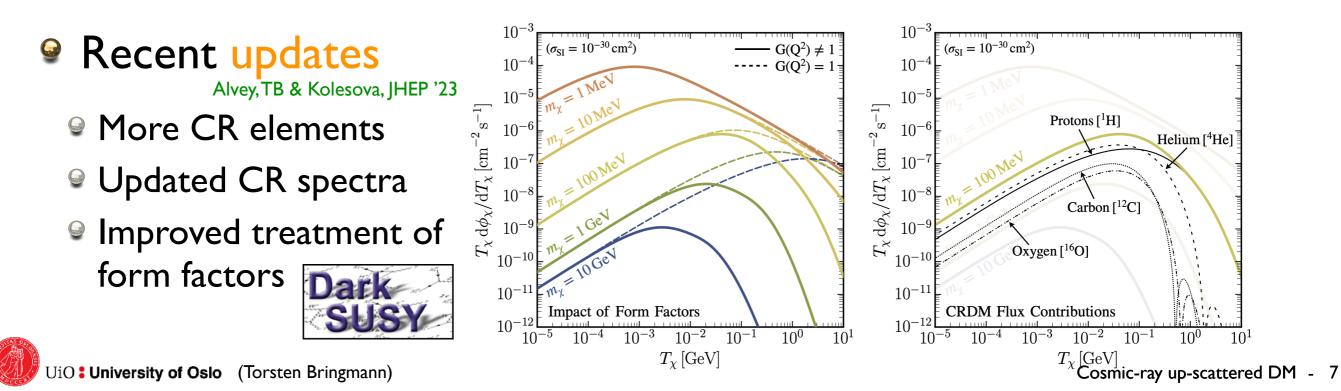


~ [0 kpc — single parameter captures well astrophysical uncertainties TB & Pospelov, PRL '18
 Xia, Xu & Zhou, JCAP '22

#### Recoil energy of DM particle initially at 'rest':

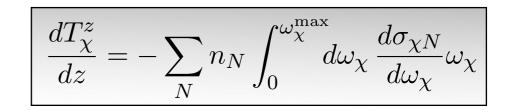
$$T_{\chi} = T_{\chi}^{\max} \frac{1 - \cos \theta_{\mathrm{cm}}}{2}, \ T_{\chi}^{\max} = \frac{T_i^2 + 2m_i T_i}{T_i + (m_i + m_{\chi})^2 / (2m_{\chi})} \quad \rightsquigarrow T_i^{\min}(T_{\chi}) \quad \widehat{=} \quad v_{\min}(E_R) \quad \text{in standard DD}$$





### From TOA flux to detector rates

 Follow standard approach for attenuation of TOA flux, but extend to fully relativistic kinematics



Recoil rate in experiment:

$$\frac{d\Gamma_N}{dT_N} = \int_{T_\chi(T_\chi^{z,\min})}^{\infty} dT_\chi \ \frac{d\sigma_{\chi N}}{dT_N} \frac{d\Phi_\chi}{dT_\chi}$$

- NB: For constant cross section
  - ${\scriptstyle \bigcirc}$  no  $T_{\chi}$  dependence
  - Generation of  $Q^2 = 2m_N T_N$ identical to NR case

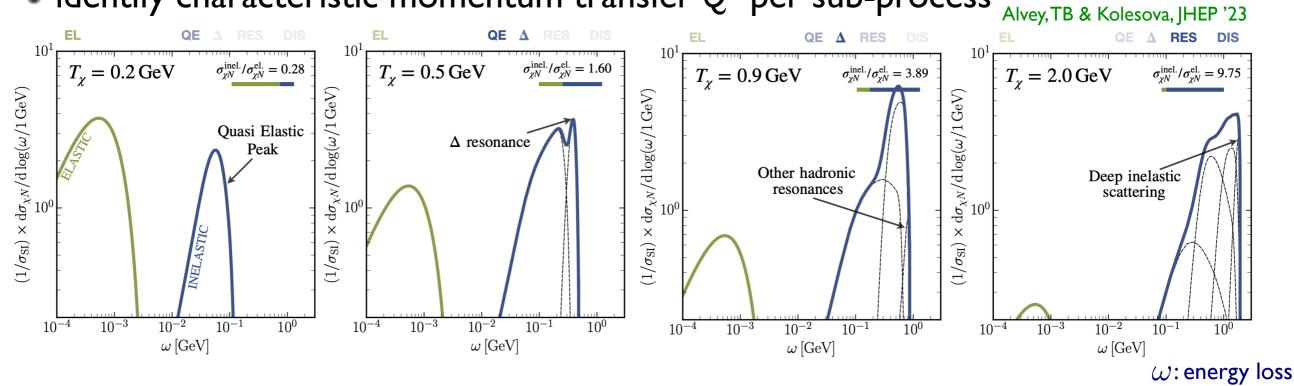
#### straight-forward to reinterpret published limits!

TB & Pospelov, PRL '18

Example: Xenon It WIMP-nucleon  $\sigma_{SI}$  [cm<sup>2</sup>]  $10^{-46}$  10<sup>-46</sup>  $10^{-45}$ WIMP mass [GeV/c<sup>2</sup>  $10^{-47}$  $10^{2}$ WIMP mass  $[GeV/c^2]$ expected rate for high masses:  $\Gamma = \int dT_{\rm Xe} \left( \frac{d\Gamma}{dT_{\rm Xe}} = \frac{\rho_{\odot}^{\chi}}{m_{\chi}m_{N}} \int_{v_{\rm min}}^{v_{\rm max}} \frac{d\sigma_{\chi N}}{dT_{\rm Xe}} v f(v) dv \right)$  $\sigma_{\chi N}^{\rm DM}$  $(\bar{v}\,\rho_{\rm DM})^{\rm local}$  $m_{\rm DM} \gg m$ 

#### Inelastic scattering

- Inelastic scattering increasingly important at higher energies
- In general complicated, model-dependent
- Gain inspiration from neutrino scattering on nuclei
  - Focus on neutral current interactions
  - public GiBBU code
  - Idea: keep ratio of inelastic to elastic contribution
  - $\bigcirc$  identify characteristic momentum transfer  $Q^2$  per sub-process

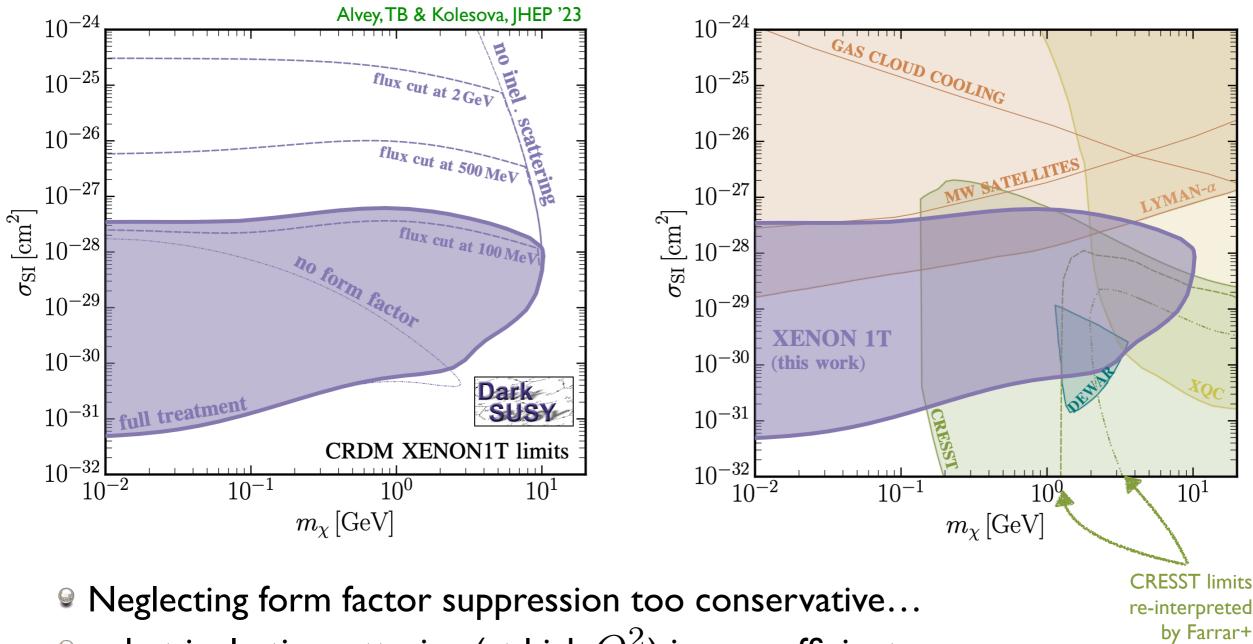


gibuu.heforge.org

The Giessen Boltzmann-Uehling-Uhlenbeck Project

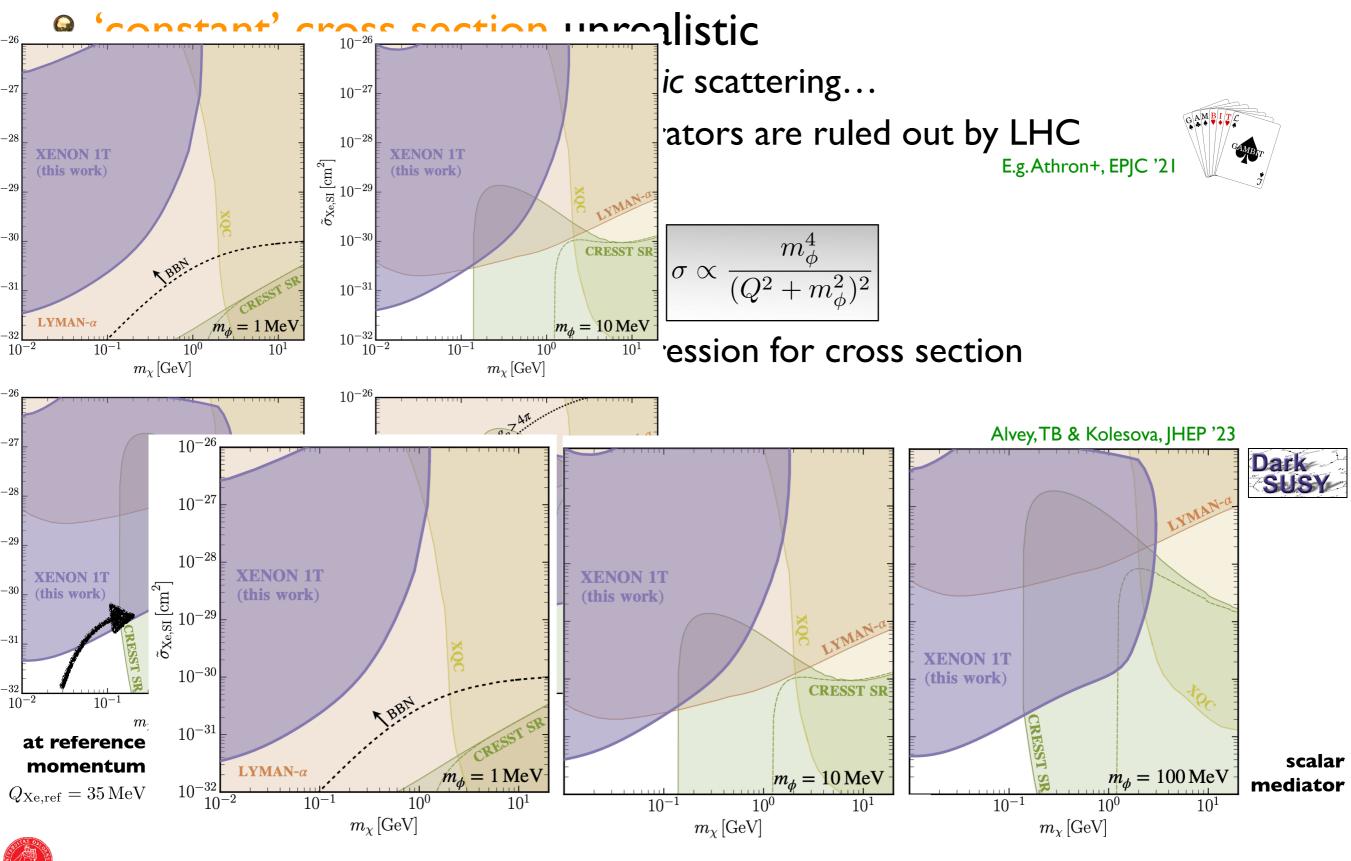
Gibuu

#### **Resulting limits**

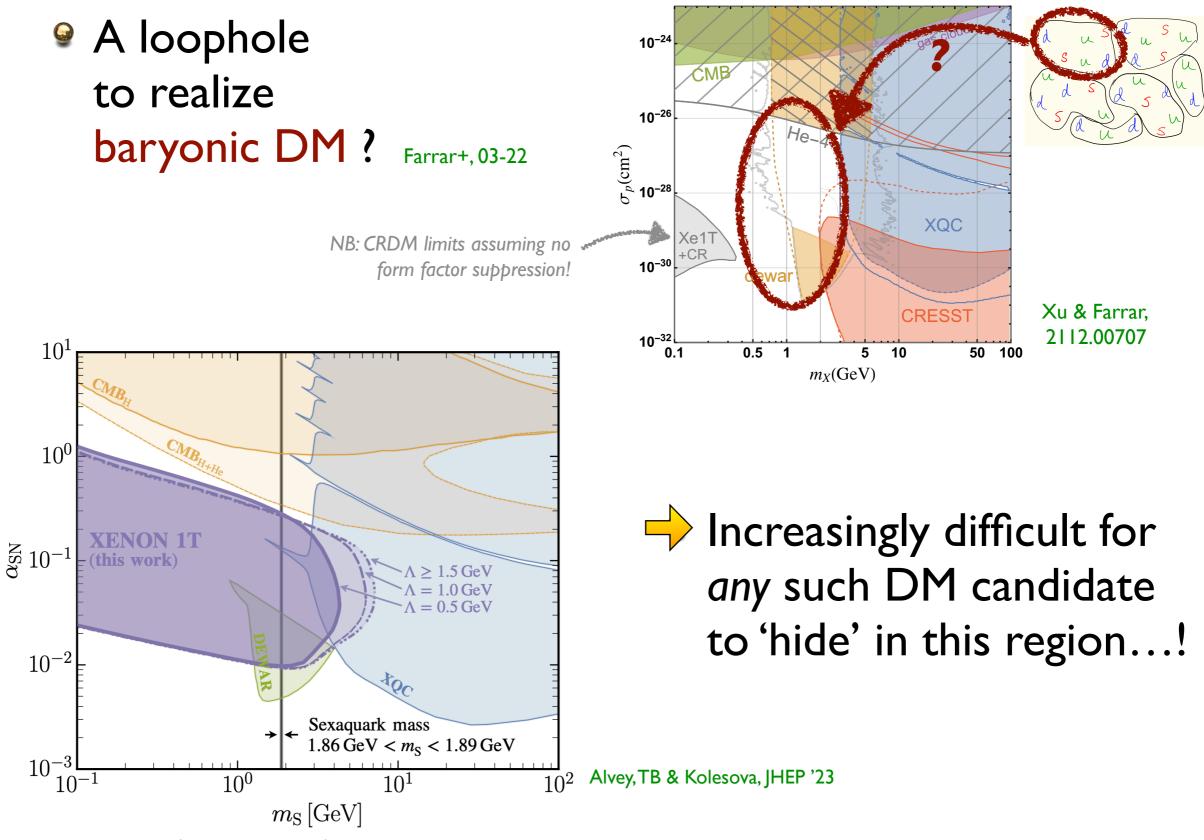


 ${f eta}$  ...but inelastic scattering (at high  $Q^2$ ) is very efficient

#### Concrete models



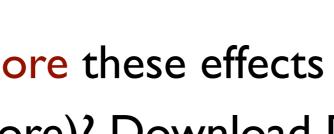
### Hexaquark dark matter

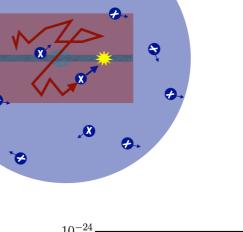


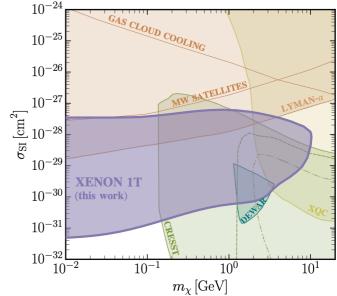
UiO **: University of Oslo** (Torsten Bringmann)

### Conclusions

- Cosmic rays inevitably produce a subdominant, relativistic component of Galactic DM
- This places highly complementary limits for light as well as strongly interacting DM
- Want to explore these effects yourself (and much more)? Download DarkSUSY! 😉









#### Thanks for your attention! UiO**: University of Oslo** (Torsten Bringmann)

### DarkSUSY

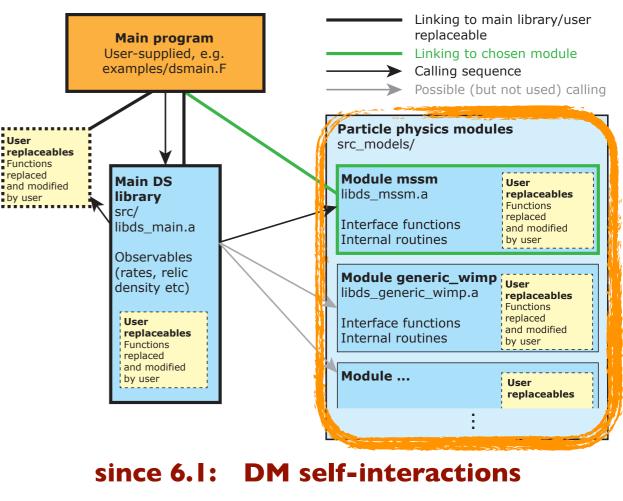


TB, Edsjö, Gondolo, Ullio & Bergström, JCAP '18

<u>http://</u> <u>darksusy.hepforge.org</u>

#### Since version 6: no longer restricted to supersymmetric DM !

- Numerical package to calculate
   'all' DM related quantities:
  - $^{\odot}$  relic density + kinetic decoupling (also for  $T_{\rm dark} \neq T_{\rm photon}$  )
  - generic SUSY models + laboratory constraints implemented
  - cosmic ray propagation
  - particle yields for generic DM annihilation or decay
  - indirect detection rates: gammas, positrons, antiprotons, neutrinos
  - direct detection rates



since 6.2: 'reverse' direct detection since 6.3: freeze-in

#### Elastic scattering cross section

Spin-independent interactions couple to nuclear mass

(from scalar, vector and tensor couplings)

$$\sigma_{N}^{\text{SI}} \sim \sigma_{p}^{\text{SI}} \left(\frac{\mu_{\chi N}}{\mu_{\chi p}}\right)^{2} \left[Zf_{p} + (A - Z)f_{n}\right]^{2} \xrightarrow{f_{p} = f_{n}} \sigma_{N}^{\text{SI}} = \sigma_{\chi}^{\text{SI}}A^{2} \left(\frac{m_{N}(m_{\chi} + m_{p})}{m_{p}(m_{\chi} + m_{N})}\right)^{2}$$

$$\Rightarrow \text{ coherent enhancement of } A^{2} \text{ to } A^{4} \text{!}$$

 $\begin{array}{l} & \displaystyle \fbox{Spin-dependent interactions couple to nuclear $pin$} \\ & \displaystyle (\textit{from axial-vector couplings}) \end{array} \\ & \displaystyle \left[ \sigma_N^{\rm SD} \sim \mu_{\chi N}^2 G_F^2 \frac{S_N + 1}{S_N} \left[ a_p \langle S_p \rangle + a_n \langle S_n \rangle \right]^2 \right] \end{array}$ 

Form-factor (or spin-structure function) suppression for large  
momentum transfer 
$$\sigma_N \to \sigma_N^{q=0} \times G_N(q^2)$$

### Simulations

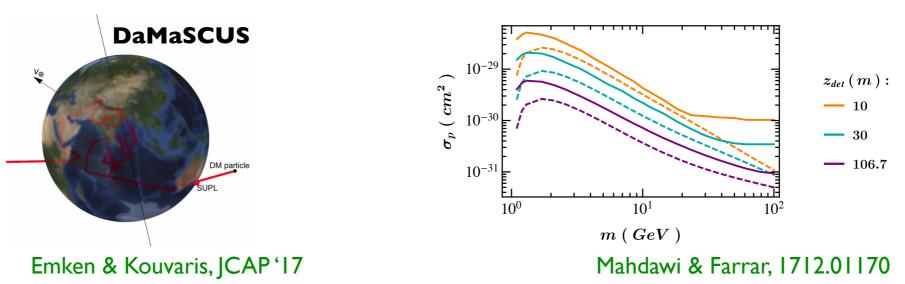
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#### Analytic approach rather simplistic:

- particles do not only arrive from azimuthal direction
- multiple scatterings in overburden
- (high-energy tail has higher penetration power)

E.g. Emken & Kouvaris, PRD '18

In principle, full simulations needed:



- Stopping power in overburden typically less efficient

  - disclaimer: this relies on constant scattering cross sections, less clear otherwise...