Fuzzy Dark Matter Confronts Rotation Curves of Nearby Dwarf Irregular Galaxies

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Axions as a Solution to Small-scale Challenges of ΛCDM

- Physically well-motivated (originally from QCD, also string theory)
- Core-cusp problem and "too big to fail": Observed dwarf galaxies show constant density cores at their centres, not high-density cusps
- Missing satellites problem: ACDM predicts a significantly larger number of satellite subhalos in the local group than we observe

$$\lambda_{dB} \approx 12 \left(\frac{v}{100 \text{ km/s}} \right)^{-1} \left(\frac{m_a}{10^{-23} \text{ eV}} \right)^{-1} \text{ kpc}$$

80 orders of magnitude

$$\frac{10^{-33} \text{ eV}}{\text{ DE}} \frac{10^{-22} \text{ eV}}{\text{ eV}} \frac{\text{ eV}}{\text{ eV}} \frac{\text{ keV}}{\text{ GeV}} \frac{\text{ GeV}}{\text{ M}_{\text{pl}}} \frac{M_{\odot}}{\text{ M}_{\text{pl}}} \frac{M_{\odot}}{\text{ Primordial BHs}}$$

Not DM

$$\frac{QCD}{\text{ withon }} \frac{Cold \text{ bosons}}{Cold \text{ bosons}}$$

Image credit: Frédéric Bellaiche (2012)

Image credit: Elisa G. M. Ferreira (2021)

FDM Simulations and the Soliton Core + NFW Profile





Soliton Scaling Relations

• Core radius – mass relation

$$M_c \simeq 5.4 \times 10^9 \left(\frac{m_a}{10^{-23} \text{eV}}\right)^{-2} \left(\frac{r_c}{\text{kpc}}\right)^{-1} \text{M}_{\odot}$$

• Core radius – central density relation:

$$\rho_c \simeq 1.9 \left(\frac{m_a}{10^{-23} \text{eV}}\right)^{-2} \left(\frac{r_c}{\text{kpc}}\right)^{-4} M_{\odot} \text{ pc}^{-3}$$

• Core – halo mass relation (Schive et al. 2014):

$$M_c \approx 3.1 \times 10^9 (1+z)^{1/2} \left(\frac{m_a}{10^{-23} \text{ eV}}\right)^{-1} \left(\frac{M_h}{10^{12} \text{ M}_\odot}\right)^{1/3} \text{ M}_\odot$$



Probing FDM with LITTLE THINGS

- Collaboration with G. Iorio using extensive analysis of RCs on a select group of 13 isolated, DM-dominated dwarf galaxies
- Robust determination of uncertainties with state-of-the-art 3D Barolo software
- One of the highest quality samples of dwarf galaxy RCs to date, ideal for FDM



LITTLE THINGS in 3D: robust determination of the circular velocity of dwarf irregular galaxies

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Some Results from MCMCs





Universality of the Axion Mass



Universality of the Axion Mass



Core Radius – Mass Relation

• A statistically significant positive correlation is observed, inconsistent with theoretical expectations

$$r_c \propto M_c^{\beta}$$

• A similar discrepancy occurs with the central density – radius relation



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Halo Mass Function Suppression

- Our halos should not exist for axion masses below $\sim 4.3 \times 10^{-23} \text{ eV}$
- Including observed LG galaxies makes the bound stronger, reaching $\sim 5.5 \times 10^{-22} \text{ eV}$
- These bounds are inconsistent with the best-fit axion mass of $\sim 2 \times 10^{-23} \text{ eV}$



Conclusions

- Dwarf, isolated galaxies are ideal probes for testing fundamental properties of DM
- The FDM model predicts that DM consists of light, weakly-interacting wave-like particles that suppress small-scale structure and produce galactic cores
- While fits show excellent agreement with RC data, favoured axion masses are in tension with the strong suppression expected from the HMF (Catch-22 problem)
- Including baryonic effects only exacerbates this tension (see extra slides)
- Furthermore, scaling relations favoured by the fits are inconsistent with model predictions, suggesting physics extrinsic to FDM

Comments and Future Directions

- Other bounds exist in the literature, e.g. Lyman-α forest, weak lensing, LSS-CMB etc. (see figure)
- One may restrict FDM to be only a small fraction of all DM
- Baryonic feedback driven CDM and self-interacting dark matter remain promising alternatives



II images are shown at the same linear scale (courtesy Kim Herrmann). HI (red), V (green), FUV (blue; a few are Ha or NUV instead)



Backup Slides

Including Baryonic Effects

- Solving S-P equation under a background baryonic potential yields a modified soliton
- This solution is consistent with FDM simulations including baryons (See Bar et al. 18,Veltmaat et al. 20)
- We find that this translates to a ≾ 15 % systematic drop in FDM mass in the fits
- This only aggravates the problem further



Baryonic Feedback

- The modified soliton profile has been found to be consistent with FDM simulations including feedback effects (Veltmaat et al. 20)
- Posterior distributions of inner (logarithmic) slopes show overlap with the predictions from CDM simulations including feedback (Tollet et al. 16, Di Cintio et al. 14)



Abundance Matching

- The Schive et al. 16 FDM parametrization is applied to the HMF using Behroozi et al. 19 for the SMF
- For the favoured axion mass values of $\sim 10^{-23}$ eV, the HMF is strongly suppressed, excluding most galaxies
- Masses in the $\sim 10^{-22}$ eV range or greater may be compatible, but are disfavoured by the fits



c - M Relation

- We apply the correction factor relative to CDM from the FDM simulations in Dentler et al. 22 to Dutton & Macciò 14
- Suppression observed in the c M relation is largely consistent, with most data points clustering around the best-fit axion mass value



Soliton + NFW Model

• Based on simulations, we adopt the soliton + NFW model with a transition point > core radius

- We parametrize the DM profile with four variables: axion mass (m_a) , core mass (M_c) , concentration parameter (c) and halo mass (M_h)
- Baryonic components (gas + stars) are added to reproduce rotation curves

Real, massive bosonic scalar field (K-G equation.)

$$-\Box\phi + m^2\phi = 0$$

non-relativistic solution

minimally-coupled to gravity (Poisson equation)

$$\nabla^2 \Phi = 4\pi G\rho \quad , \quad \rho = |\psi|^2$$

Schrödinger-Poisson Equation

$$\begin{split} &i\partial_t\psi=-\frac{1}{2m}\nabla^2\psi+m\Phi\psi,\\ &\nabla^2\Phi=4\pi G|\psi|^2. \end{split}$$

Soliton Solution to the S-P Equation

• Searching for a quasi-stationary, phase-coherent solution

$$\psi(x,t) = \left(\frac{mM_{\rm pl}}{\sqrt{4\pi}}\right)e^{-i\gamma mt}\chi(x).$$

S-P spherical and stationary eq.

$$\partial_r^2(r\chi)=2r(\Phi-\gamma)\chi,$$

$$\partial_r^2(r\Phi)=r\chi^2.$$

Scaled solutions of S-P eq.

 $\chi_{\lambda}(r) = \lambda^2 \chi_1(\lambda r),$ $\Phi_{\lambda}(r) = \lambda^2 \Phi_1(\lambda r),$ $\gamma_{\lambda} = \lambda^2 \gamma_1,$



ACDM Challenges and FDM

- Wave behaviour causes core formation and suppression of the formation of halos below a certain mass (due to power spectrum suppression)
- This makes FDM an attractive candidate to address small-scale strucure issues in ΛCDM (i.e. core-cusp problem and missing satellites)



Central Density – Core Radius Relation

- Galaxies tend to cluster along the expected best-fit axion mass relation
- But similarly, the preferred slope of the relation differs significantly from the (steeper) expected one
- Agreement with Rodrigues et al. 17, Deng et al. 18 (green dots) further suggests astrophysical relevance



Core - Halo Mass Relation

- We impose the core-halo mass relation from Chan et al. 22 as a general constraint from simulations
- Range of allowed masses is quite broad, spanning circa an order of magnitude in scatter
- We perform an analysis using the favoured best-fit axion mass (right)

