



# CORRELATIONS BETWEEN ANISOTROPY FLOW AND MEAN TRANSVERSE MOMENTUM USING SUBEVENT CUMULANTS IN SMALL SYSTEMS AT CMS

Rohit Kumar Singh (IIT Madras) for the CMS Collaboration

Nov 8, 2023

WPCF 2023 - XVI Workshop on Particle Correlations and Femtoscopy & IV Resonance Workshop 2023





#### Introduction

In heavy ion collisions:

• Anisotropic flow in the final state arises from the hydrodynamic response to the initial geometric anisotropy

- Mean  $p_T([p_T])$  reflects the strength of radial flow push, which is related to the initial energy density of the fireball
- The correlations between  $v_n$  and  $[p_T]$  probe the fluctuations present in the initial density profile  $\rho(v_n^2, [p_T]) = \frac{\operatorname{cov}(v_n^2, [p_T])}{\sqrt{\operatorname{var}(v_n^2)}\sqrt{\operatorname{var}([p_T])}}$





#### Introduction

In heavy ion collisions:

• Anisotropic flow in the final state arises from the hydrodynamic response to the initial geometric anisotropy

- Mean  $p_T([p_T])$  reflects the strength of radial flow push, which is related to the initial energy density of the fireball
- The correlations between  $v_n$  and  $[p_T]$  probe the fluctuations present in the

initial density profile



$$\rho(v_n^2, [p_{\mathrm{T}}]) = \frac{\operatorname{cov}(v_n^2, [p_{\mathrm{T}}])}{\sqrt{\operatorname{var}(v_n^2)}\sqrt{\operatorname{var}([p_{\mathrm{T}}])}}$$





#### Introduction

In heavy ion collisions:

• Anisotropic flow in the final state arises from the hydrodynamic response to the initial geometric anisotropy

- Mean  $p_T([p_T])$  reflects the strength of radial flow push, which is related to the initial energy density of the fireball
- The correlations between  $v_n$  and  $[p_T]$  probe the fluctuations present in the



Rohit k

Rohit Kumar Singh



## Motivations for small systems (1)



- $\hat{\rho}$  exihibit a sign change with increasing multiplicity when an initial momentum anisotropy is present
- Carries information about the origin of the observed momentum anisotropy
- Sensitive to the transverse size of the initial fireball





## Motivations for small systems (2)



- However, the correlations from PYTHIA alone have a sign change
- Nonflow has to be carefully dealt
- The goal of this analysis:
  - Introduce a new variable to remove more nonflow
  - Search for sign change at the lowest possible multiplicity in pp/pPb/ PbPb collisions





Analysis Method (1)

$$\rho(v_2^2, [p_T]) = \frac{\operatorname{cov}(v_2^2, [p_T])}{\sqrt{\operatorname{Var}(v_2^2)_{dyn}}\sqrt{\operatorname{Var}([p_T])_{dyn}}} (1)$$

$$\stackrel{A}{\xrightarrow{-0.75}} \stackrel{[p_T]}{\xrightarrow{(-0.5, 0.5)}} \stackrel{B}{\xrightarrow{0.75}} \stackrel{2.4}{\xrightarrow{0.75}} \stackrel{2.7}{\xrightarrow{0.75}} \stackrel{2.7}{\xrightarrow$$





Analysis Method (1)

$$\rho(v_{2}^{2}, [p_{T}]) = \frac{\operatorname{cov}(v_{2}^{2}, [p_{T}])}{\sqrt{\operatorname{Var}(v_{2}^{2})_{dyn}}\sqrt{\operatorname{Var}([p_{T}])_{dyn}}} (1)$$

$$A = \frac{10}{0.75} \left[ \frac{p_{T}}{0.5, 0.5} \right] = \frac{10}{0.75} =$$

Subevents A and B are used for calculation of  $c_2\{2\}$ ;  $|\eta| < 0.5$  for  $[p_T]$ 

Covariance between 
$$c_2\{2\}$$
 and  $[p_T]$ :  
 $\operatorname{cov}(c_2\{2\}, [p_T]) = \mathfrak{Re}\left\langle \sum_{a,b} \exp^{2i(\phi_a - \phi_b)} \left( [p_T] - \langle [p_T] \rangle \right) \right\rangle$  (2)  
Dynamic variance of  $c_2\{2\}$ :

$$\operatorname{Var}(c_2\{2\})_{\operatorname{dyn}} = \langle \langle 4 \rangle \rangle - \langle \langle 2 \rangle \rangle^2 \tag{3}$$

Variance of  $[p_T]$  from dynamic  $[p_T]$  fluctuation  $c_k$ :

$$c_k = \left\langle \left[ (p_{\mathrm{T}i} - \langle [p_{\mathrm{T}}] \rangle) (p_{\mathrm{T}j} - \langle [p_{\mathrm{T}}] \rangle) \right] \right\rangle \tag{4}$$





Analysis Method (2)

$$\rho(v_{2}^{2}, [p_{T}]) = \frac{\operatorname{cov}(v_{2}^{2}, [p_{T}])}{\sqrt{\operatorname{Var}(v_{2}^{2})_{dyn}}\sqrt{\operatorname{Var}([p_{T}])_{dyn}}}$$
(1)  
Extend and study the new variable to remove more nonflow  

$$\rho(c_{2}\{2\}, [p_{T}]) \longrightarrow \rho(c_{2}\{4\}, [p_{T}])$$
Three subevents  
-2.4 -1.3 -0.75 (-0.5, 0.5) 0.75 - 1.3 C 2.4

 $c_2{4}$  is analyzed with three subevent method  $c_2{4}_{3-\text{sub}} = \langle 4 \rangle_{a,a|b,c} - 2\langle 2 \rangle_{a|b} \langle 2 \rangle_{a|c}$ 

Phys. Rev. C 96, 034906 (2017)





## Observables in this analysis

- This analysis focuses on small systems
- It is the first paper to :
  - use multiparticle correlations for flow when correlating with  $[p_T]$
  - $\bullet$  explore the correlator with different  $\eta$  gaps to study nonflow effects
  - measure  $v_3 [p_T]$  correlations in small systems
  - include measurements in pp collisions







Results are presented as a function of N<sub>ch</sub>, which is defined in  $0.5 < p_T < 5.0$  GeV,  $|\eta| < 2.4$ , and corrected for tracking efficiency

CMS-PAS-HIN-21-012 (link)





## Results for covariance



- Clear sign change for pp collisions with  $c_2{2}$
- No sign change at low  $N_{ch}$  using multiparticle correlations with current statistics
- The sign of the normalized correlator is determined by the covariance



# Results for covariance



- Clear sign change for pp and pPb collisions with  $c_2{2}$
- No sign change at low  $N_{ch}$  using multiparticle correlations with current statistics
- The sign of the normalized correlator is determined by the covariance



# Results for covariance



- Clear sign change for pp and pPb collisions with  $c_2{2}$
- No sign change at low  $N_{ch}$  using multiparticle correlations with current statistics
- The sign of the normalized correlator is determined by the covariance





• Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pp collisions





- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pp collisions
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$





- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pp collisions
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$
- Also true for PYTHIA8 events







- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pPb -> agree with IP-Glasma+hydro
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$





- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pPb -> agree with IP-Glasma+hydro
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$
- $\bullet$  After removing nonflow with larger  $\eta$  gap, no evidence of CGC in data







- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pPb -> agree with IP-Glasma+hydro
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$
- $\bullet$  After removing nonflow with larger  $\eta$  gap, no evidence of CGC in data







- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pPb -> agree with IP-Glasma+hydro
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$
- $\bullet$  After removing nonflow with larger  $\eta$  gap, no evidence of CGC in data
- Data better described by the smaller initial fireball  $R_{RMS}=0.9$  fm in hydro





- Apparent sign change for  $\rho(c_2\{2\}, [p_T])$  in pPb -> agree with IP-Glasma+hydro
- However, no sign change is observed when using  $|\eta|{>}1.0$  for  $c_2\{2\}$
- $\bullet$  After removing nonflow with larger  $\eta$  gap, no evidence of CGC in data
- Data better described by the smaller initial fireball  $R_{RMS}=0.9$  fm in hydro



#### Summary

• The correlations between  $[p_T]$  and cumulants from both two- and fourparticle correlations in small systems are presented

- Apparent sign change is observed for  $\rho(c_2\{2\}, [p_T])$  in pp and pPb
- However, no sign change is observed with larger  $\eta$  gap in  $c_2\{2\}$ 
  - ATLAS default is  $|\eta| > 0.75$ , with  $|\Delta \eta| > 1.5$
  - ALICE default is  $|\eta| > 0.4$ , with  $|\Delta \eta| > 0.8$
  - CMS is studying both  $|\eta| > 0.75$  ( $|\Delta \eta| > 1.5$ ) and  $|\eta| > 1.0$  ( $|\Delta \eta| > 2.0$ )
- After removing more nonflow with both two- and four-particle correlation cumulants, there is no evidence of CGC in data
- These high-precision data and the observables employing multiparticle correlations should provide new insight into the origin of azimuthal anisotropy in small collision systems





# Backup





Keeping cov( $c_2$ {4}, [ $p_T$ ]) but drop  $\rho(c_2$ {4}, [ $p_T$ ]) in this analysis

- The reason is we are not 100% sure if the variance  $Var(c_2\{4\})_{dyn}$  in our new method is truly dynamic
- It may contain statistical fluctuations in our current method
- The measurement of  $v_n$  fluctuation in small systems is a task our community has not accomplished. The event-by-event  $v_n$  studies all stopped at 60-70% centrality in AA collisions





Table 1: Average multiplicity of reconstructed tracks per  $N_{ch}^{rec}$  bin for  $N_{ch}$  and  $N_{trk}^{offline}$  in pp, pPb, and PbPb collisions. Uncertainties for the tracking efficiency corrected  $N_{ch}$  are included.

	рр		pPb		PbPb	
$N_{\rm ch}^{\rm rec}$ range	$\langle N_{\rm ch} \rangle$	$\left< N_{ m trk}^{ m offline} \right>$	$\langle N_{ m ch}  angle$	$\left< N_{ m trk}^{ m offline} \right>$	$\langle N_{ m ch}  angle$	$\langle N_{ m trk}^{ m offline}  angle$
[0,20)	$8{\pm}0.3$	9	$11{\pm}0.4$	12	$16 {\pm} 0.6$	14
[20, 40)	$34{\pm}1$	34	$36\pm1$	36	$57\pm2$	48
[40, 60)	$58\pm2$	56	$60\pm 2$	60	96±4	80
[60, 80]	82±3	78	$83\pm3$	82	$135\pm5$	112
[80,100)	$106 {\pm} 4$	101	$107 {\pm} 4$	105	$175 \pm 7$	144
[100, 150)	$132 \pm 5$	125	$140{\pm}6$	137	$240{\pm}10$	197
[150, 200)			$198\pm8$	191	$335{\pm}13$	276
[200, 250]			$256{\pm}10$	246	$434{\pm}17$	353
[250, 300)					$535 \pm 21$	426

Phys. Lett. B 718 (2013) 795

- The mapping table between  $N_{ch}$  and  $N_{trk}^{\ offline}$ 





#### Existing measurements





