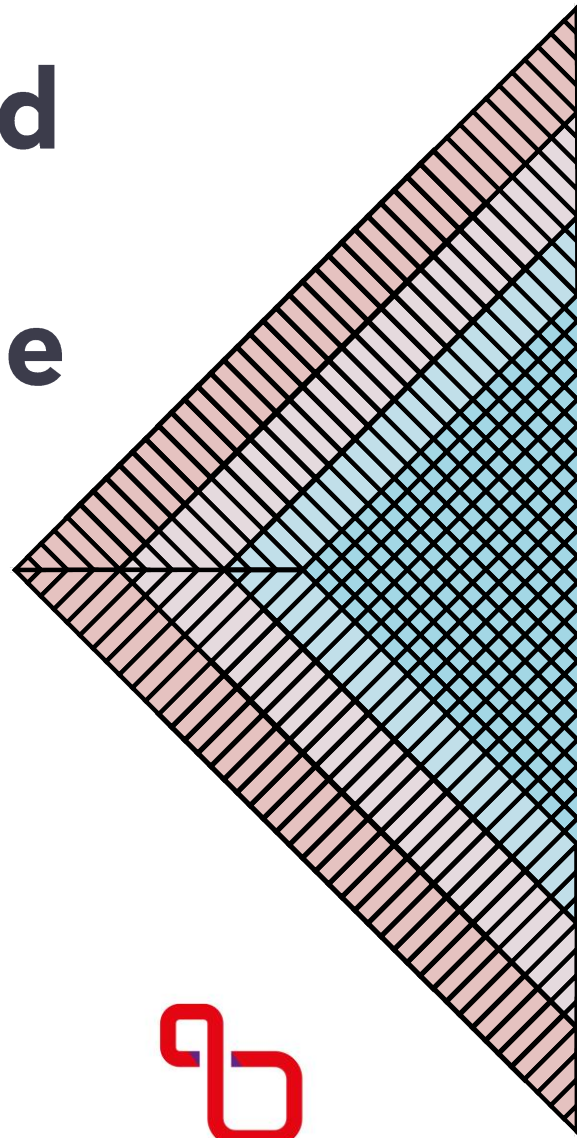


Spheroidal expansion and freeze-out geometry of heavy-ion collisions in the few-GeV energy regime

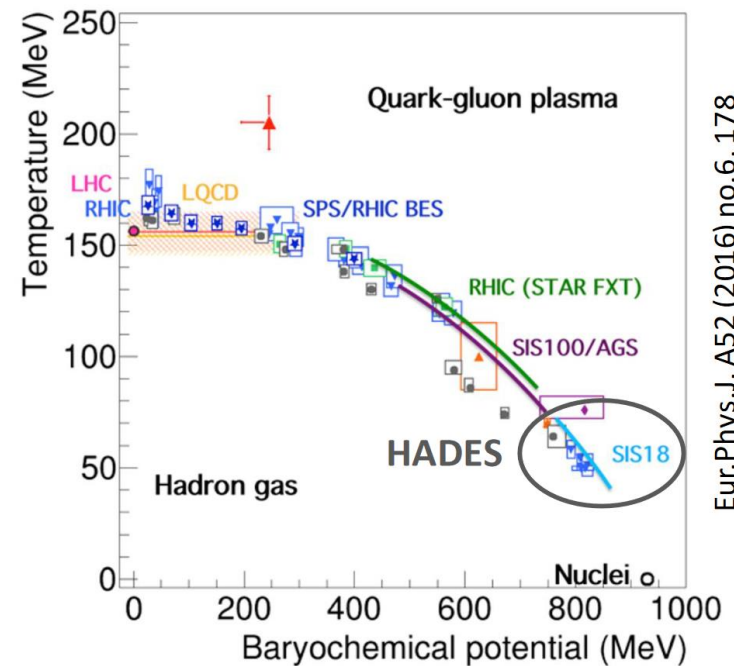
Author: Jędrzej Kołaś

In collaboration with: Wojciech Florkowski, Tetyana Galatyuk, Małgorzata Gumberidze, Szymon Harabasz, Małgorzata Kurach, Radosław Ryblewski, Piotr Salabura, Joachim Stroth, and Hanna Zbroszczyk



The Area of Study

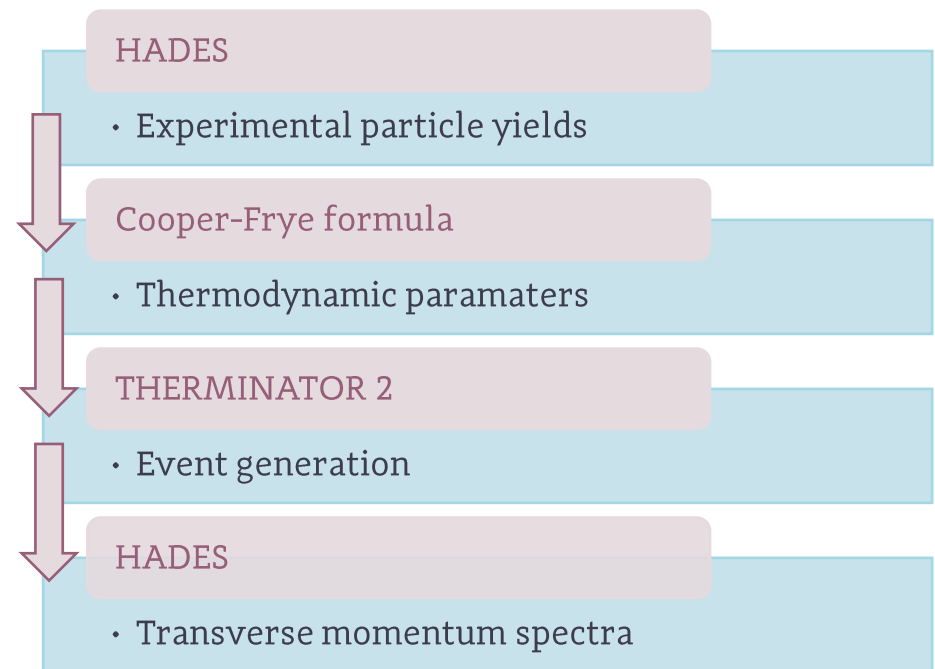
- Low collision energy
- High baryochemical potential
- Experiment of choice: HADES
- System:
 - Au+Au
 - $\sqrt{s_{NN}} = 2.4$ GeV
 - 0-10% centrality



Eur.Phys.J. A52 (2016) no.6, 178

THERMAL heavy-IoN generATOR 2

- SHM-based model (Cooper-Frye)
- Single freeze-out
- Decay list: standard SHARE package + excited states of nuclei
- Femtoscopic afterburner (Adam Kisiel's weights algorithm)



The Siemens-Rasmussen Spheroidal Model

➤ Based on the blast wave model of Siemens and Rasmussen (*Physical Review Letters* 42.14 (1979): 880)

➤ Includes following changes:

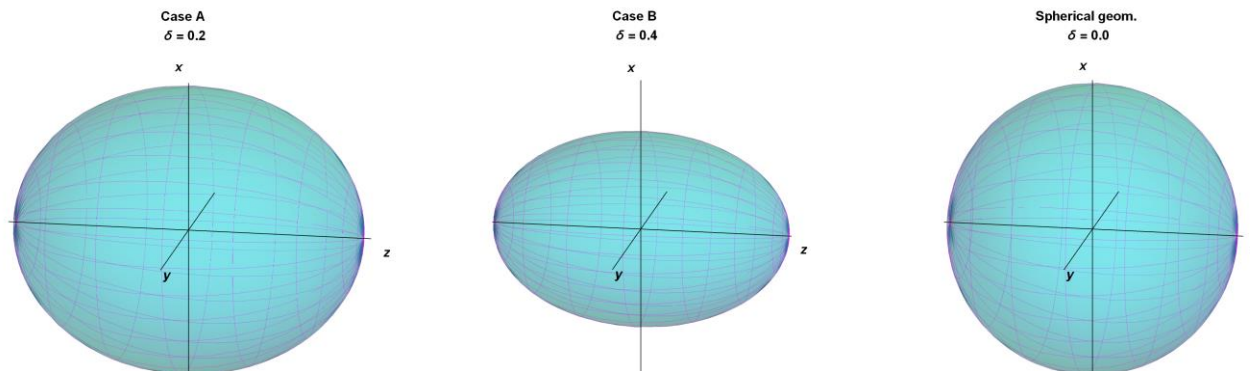
➤ Radial flow profile:

$$v(r) = \tanh(H r)$$

➤ Spheroidal symmetry:

$$x^\mu = (t, r\sqrt{1 - \epsilon} \cos \phi \sin \theta, r\sqrt{1 - \epsilon} \sin \phi \sin \theta, r\sqrt{1 + \epsilon} \cos \theta)$$

$$u^\mu = \gamma(\xi)(t, v(\xi)\sqrt{1 - \delta} \cos \phi \sin \theta, v(\xi)\sqrt{1 - \delta} \sin \phi \sin \theta, v(\xi)\sqrt{1 + \delta} \cos \theta)$$



Physical Review C 107.3 (2023): 034917

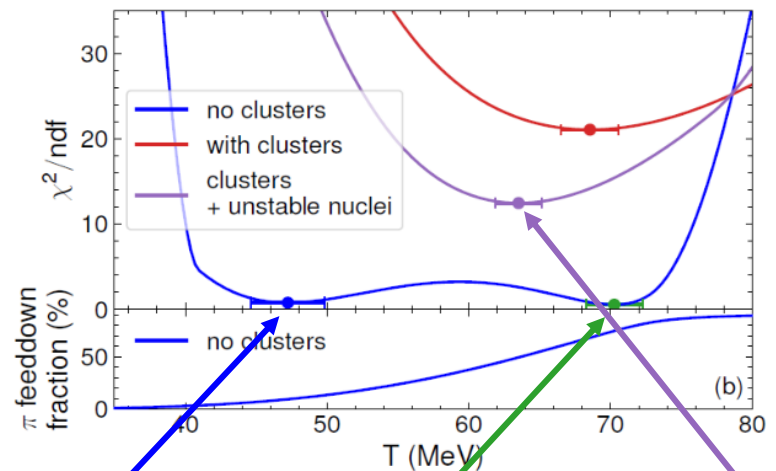
„Kinematic” Parameters Estimation



Diagram illustrating the Compliance test definition: Compliance test is defined by the equation $Q^2 = \sqrt{\frac{1}{N} \sum_{i=1}^N \frac{(Y_{i,model} - Y_{i,exp})^2}{Y_{i,exp}^2}}$.

Thermodynamic Landscape of HADES

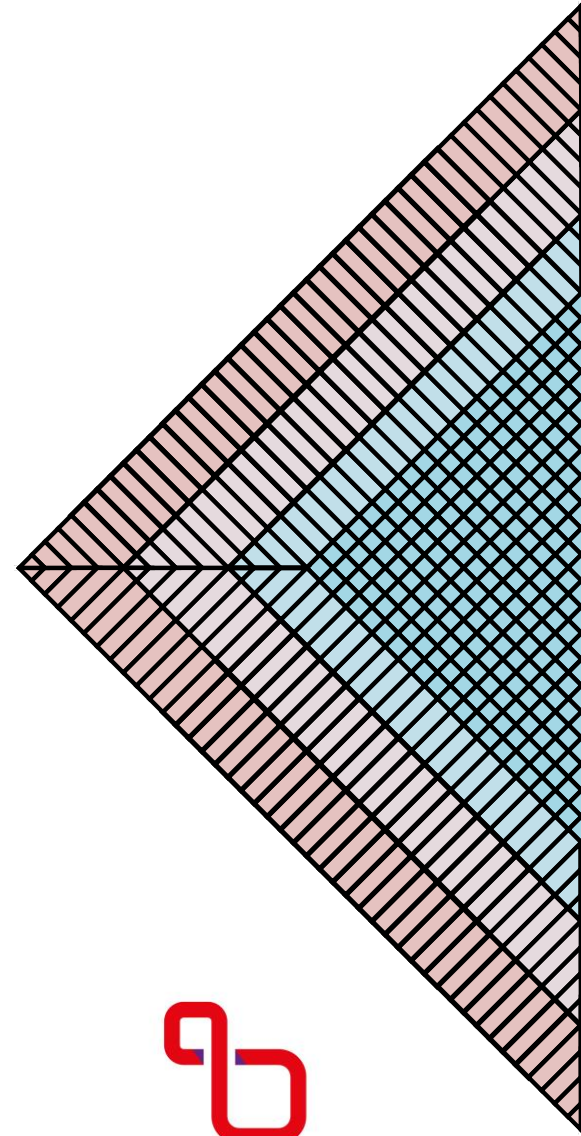
- Our model was tested with results from *Motornenko et al.*
- Later denoted as:
 - Case A
 - Case B
 - Case C
- Different approach to light nuclei production:
 - Cases A and B – coalescence
 - Case C - thermal



Motornenko et al.,
Physics Letters B 822 (2021): 136703

Parameter	Harabasz <i>et al.</i> [1]	no clusters low T minimum	no clusters high T minimum	with clusters	with clusters + unstable nuclei
T (MeV)	49.6 ± 1.1	47.2 ± 2.6	70.3 ± 2.0	68.6 ± 2.0	63.5 ± 1.6
R (fm)	16.0	18.9 ± 2.2	6.8 ± 0.9	9.0 ± 0.9	10.4 ± 0.3
μ_B (MeV)	776 ± 3	780.1 ± 3.8	872.1 ± 24.3	786.7 ± 2.9	781.1 ± 3.3
γ_S	0.16 ± 0.02	0.19 ± 0.07	0.05 ± 0.01	0.03 ± 0.01	0.04 ± 0.01
χ^2/N_{dat}	$N_{\text{dat}} = 0$	1.58/2	1.13/2	1.05.30/5	62.30/5

Spherical vs Spheroidal



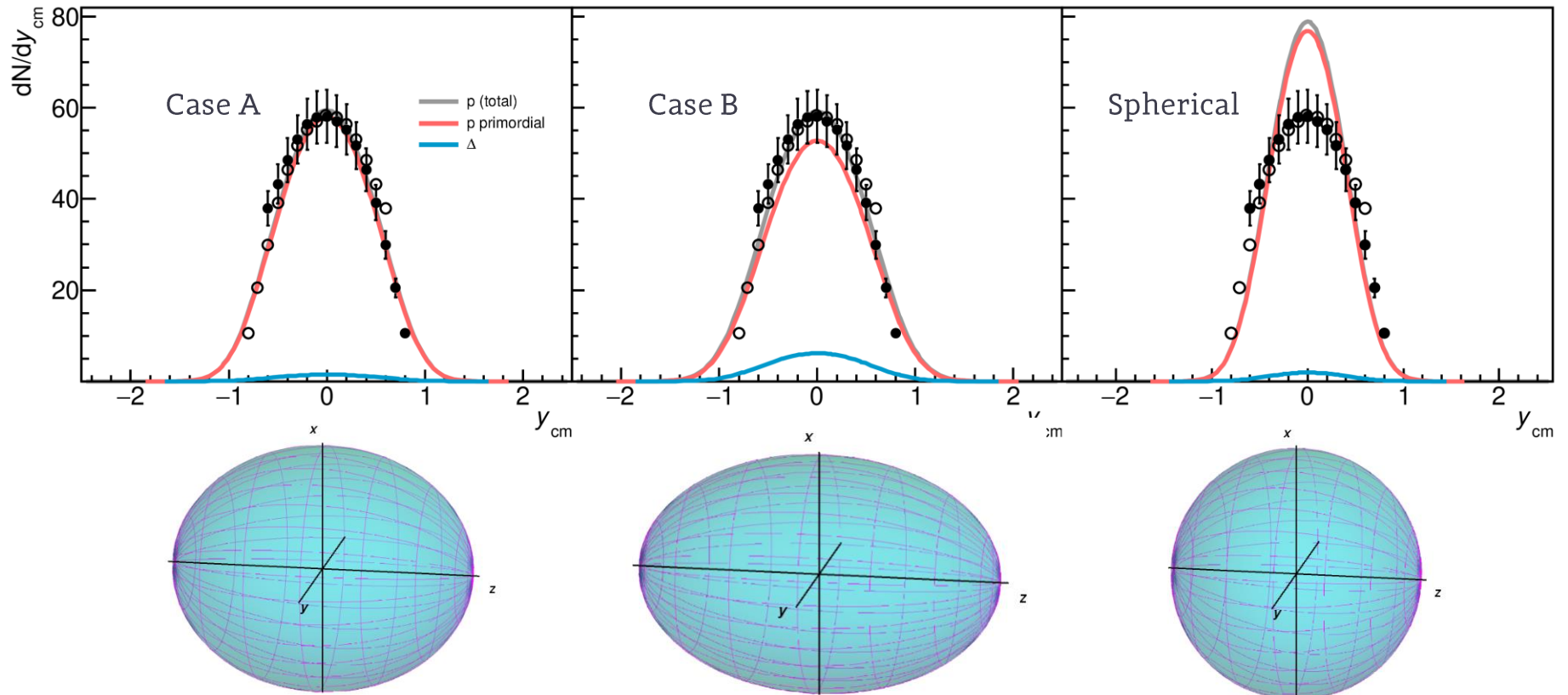
Rapidity Distribution (proton)

Physical Review C 107.3 (2023): 034917

Szala, Melanie. "Proton and Light Nuclei from Au+ Au Collisions at." Domenico Elia

Giuseppe E. Bruno Pietro Colangelo (2020): 297

Au + Au $\sqrt{s_{NN}} = 2.4$ GeV (0 - 10%)



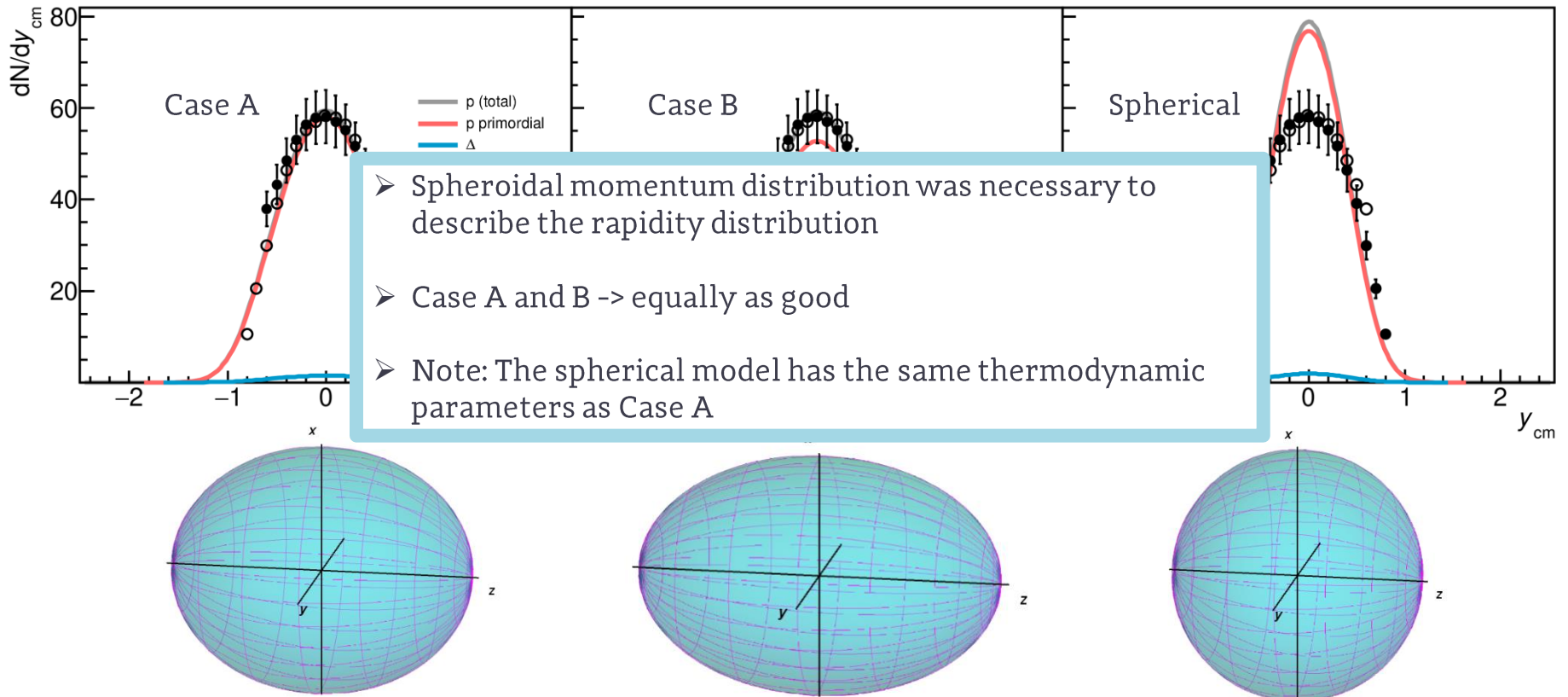
Rapidity Distribution (proton)

Physical Review C 107.3 (2023): 034917

Szala, Melanie. "Proton and Light Nuclei from Au+ Au Collisions at." Domenico Elia

Giuseppe E. Bruno Pietro Colangelo (2020): 297

Au + Au $\sqrt{s_{NN}} = 2.4$ GeV (0 - 10%)



- Spheroidal momentum distribution was necessary to describe the rapidity distribution
- Case A and B -> equally as good
- Note: The spherical model has the same thermodynamic parameters as Case A

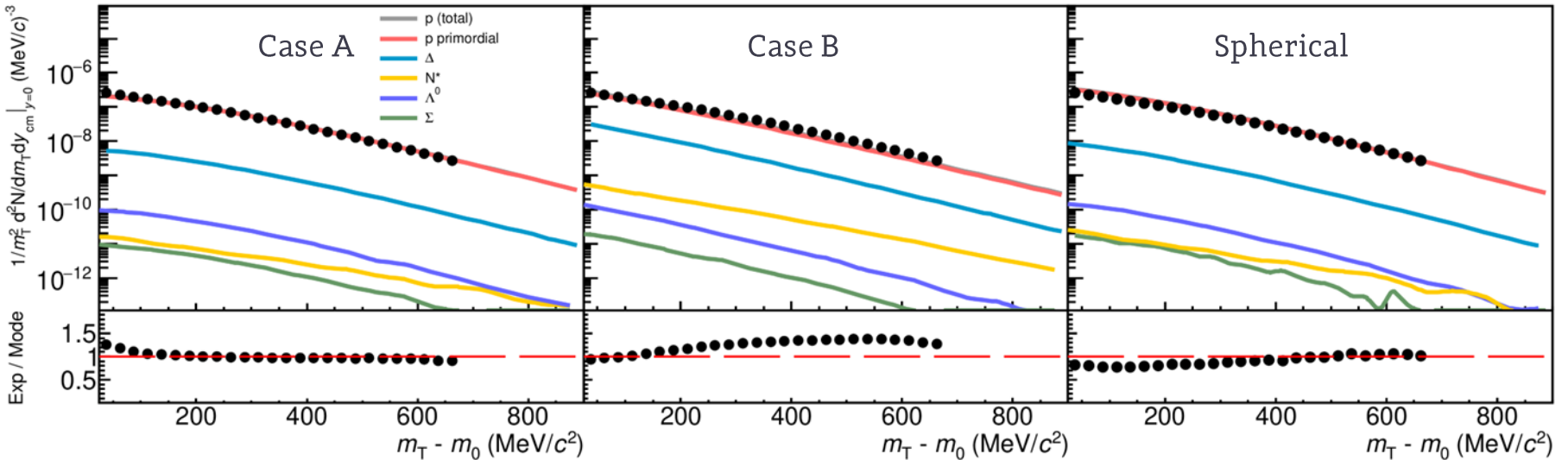
Transverse Momentum Spectra (proton)

Physical Review C 107.3 (2023): 034917

Szala, Melanie. "Proton and Light Nuclei from Au+ Au Collisions at." Domenico Elia

Giuseppe E. Bruno Pietro Colangelo (2020): 297

Au + Au $\sqrt{s_{NN}} = 2.4$ GeV (0 - 10%)

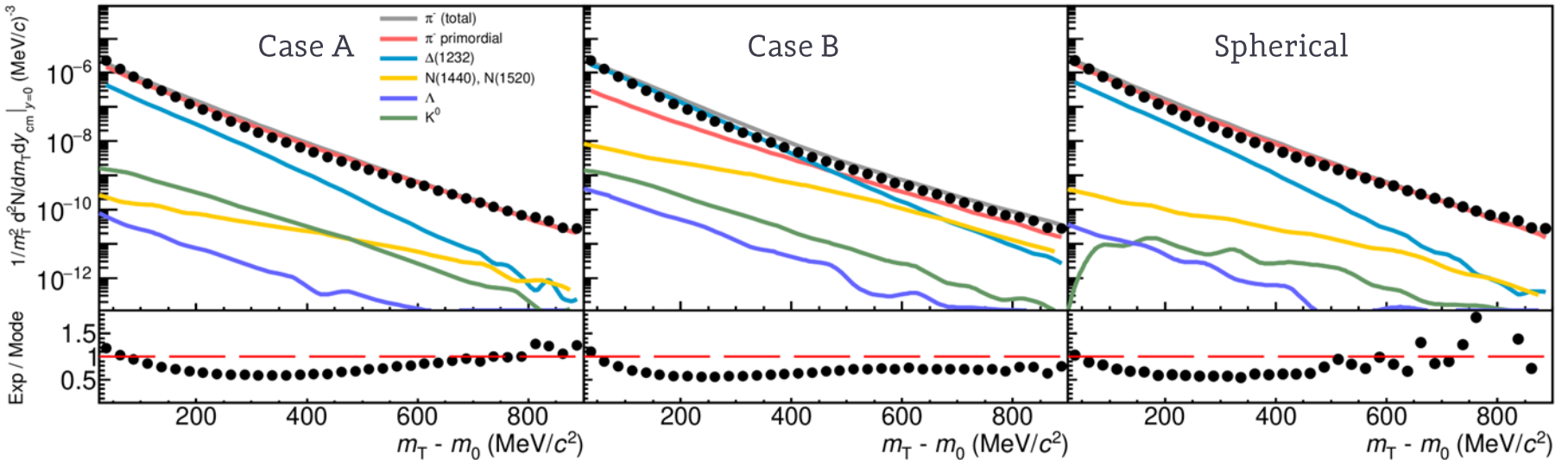


- Similarly good agreement
- Thermal protons -> dominant contribution
- Spherical is just as good as spheroidal -> no noticeable difference without looking at the rapidity

Transverse Momentum Spectra (negative pion)

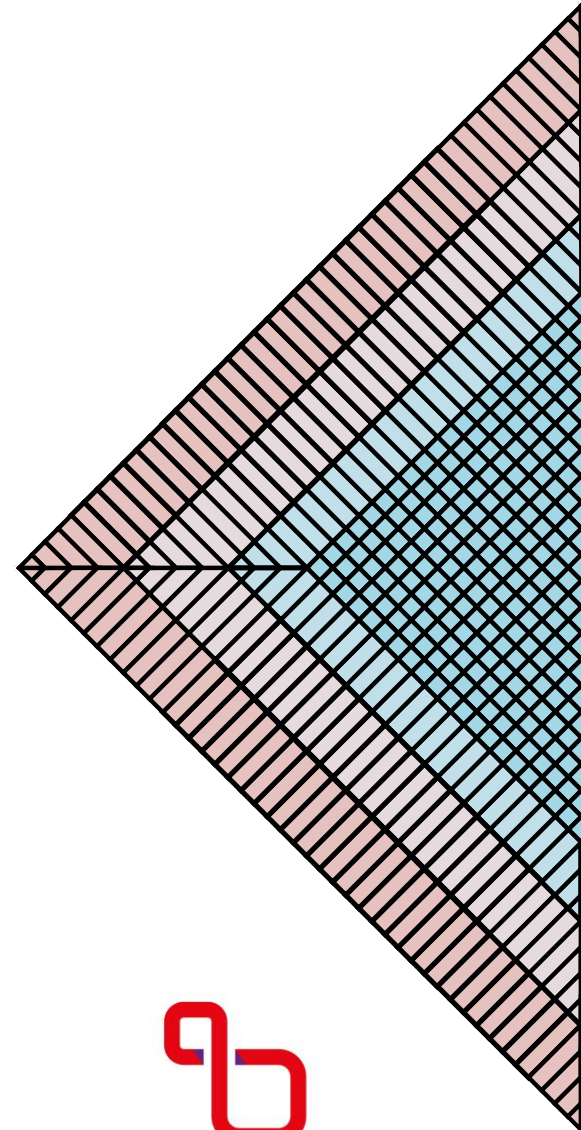
Physical Review C 107.3 (2023): 034917
Eur.Phys.J.A 56 (2020) 259

Au + Au $\sqrt{s_{NN}} = 2.4$ GeV (0 - 10%)



- Similarly good agreement
- Case B shows a „double slope” ($\Delta(1232)$ + primordial decay)
- $\Delta(1232)$ decay becomes a dominant contribution below 500 MeV for Case B
- Coulomb effect is visible (< 100 MeV)

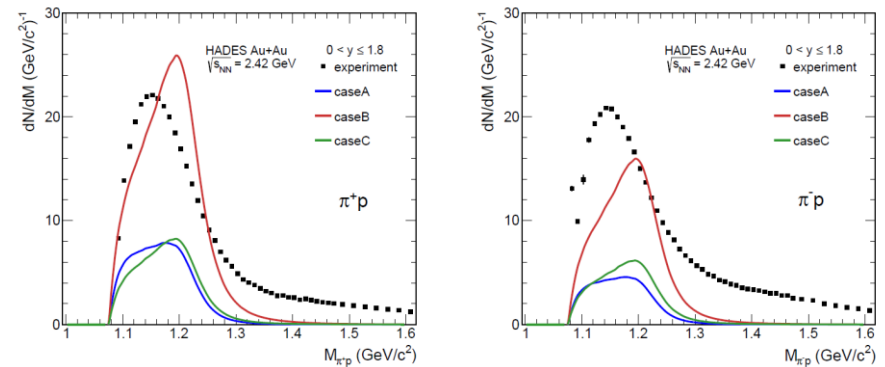
Coalescence vs Thermal



The Delta(1232) and Other Resonances

- Originally, resonance mass = fixed PDG value
- Idea: use finite width for all resonances
- For $\Delta(1232)$, derivative of the scattering phase shift was used (Phys. Rev. C 96, 015207 (2017))
- For other resonances, Breit-Wigner parametrisation with mass-dependent width was used (arXiv:0708.2382 (2007))

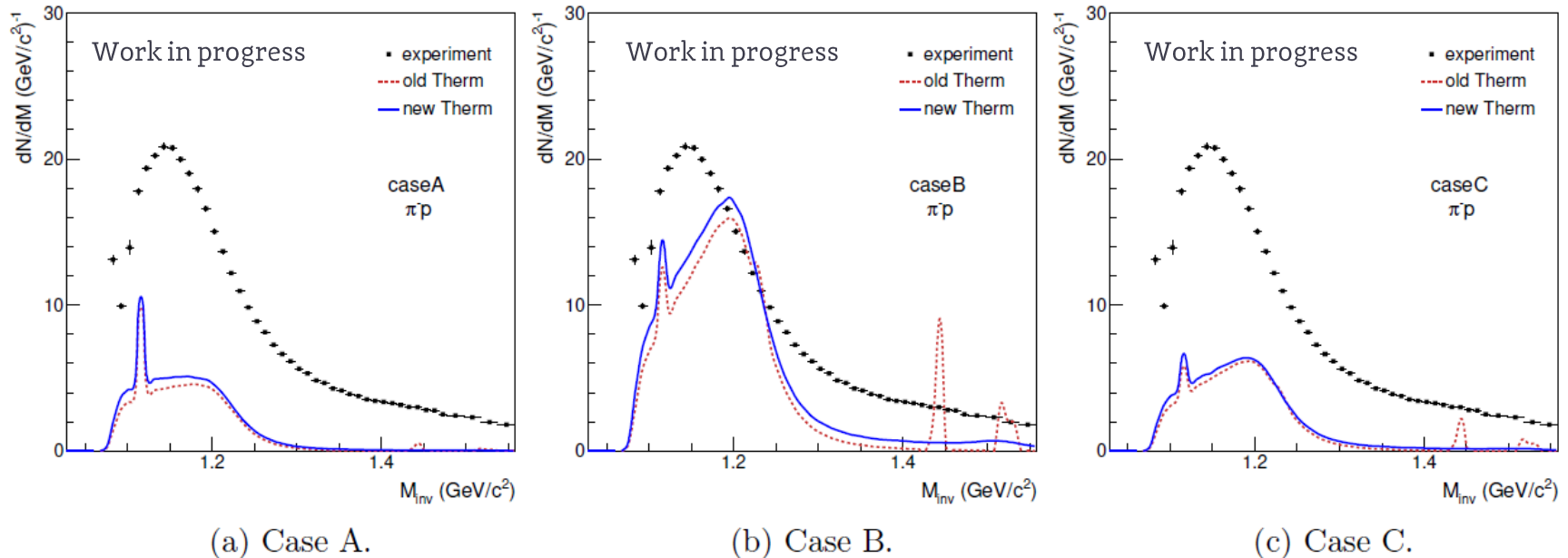
True MC $\Delta(1232)$ vs correlated pairs of protons and pions:



M. Kurach „Phase-space distributions of Delta resonances reconstructed from Therminator events”, Get_Involved internship

The Delta(1232) and Other Resonances

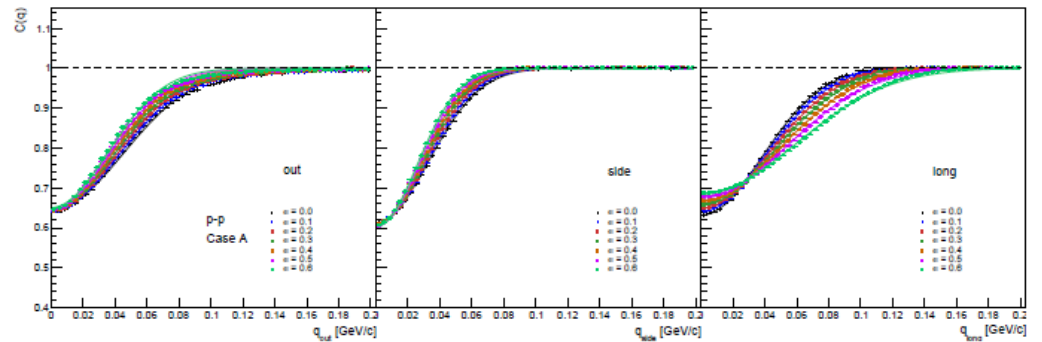
M. Kurach „Study of resonance production Au+Au collisions at HADES with Therminator”, Get_Involved internship



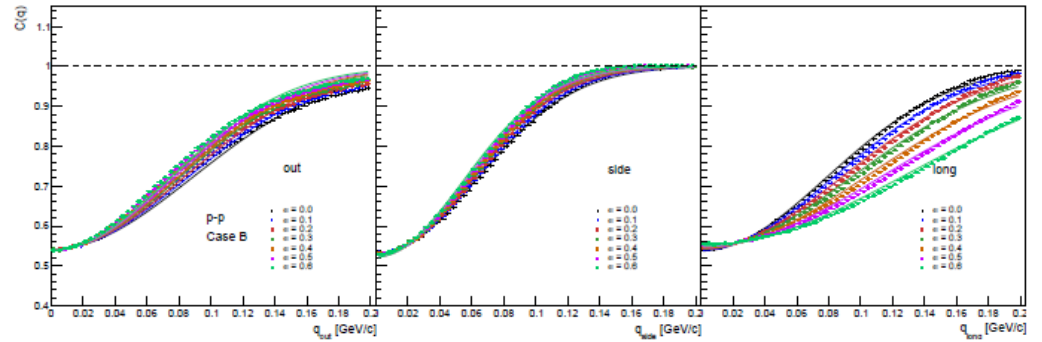
- Smearing peaks of heavy resonances
- Work in progress

Position Deformation Sensitivity of Correlation Functions

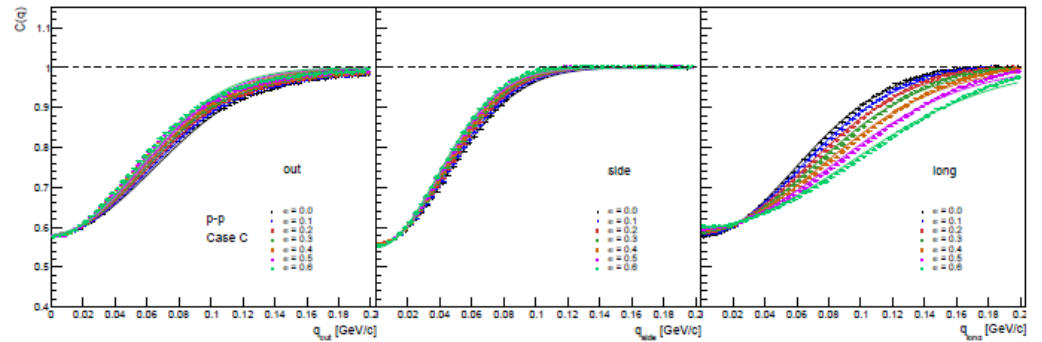
- No final-state interactions included
- Long direction -> the most sensitive to the eccentricity parameter
- Negligible sensitivity of H and δ



(a) Case A.



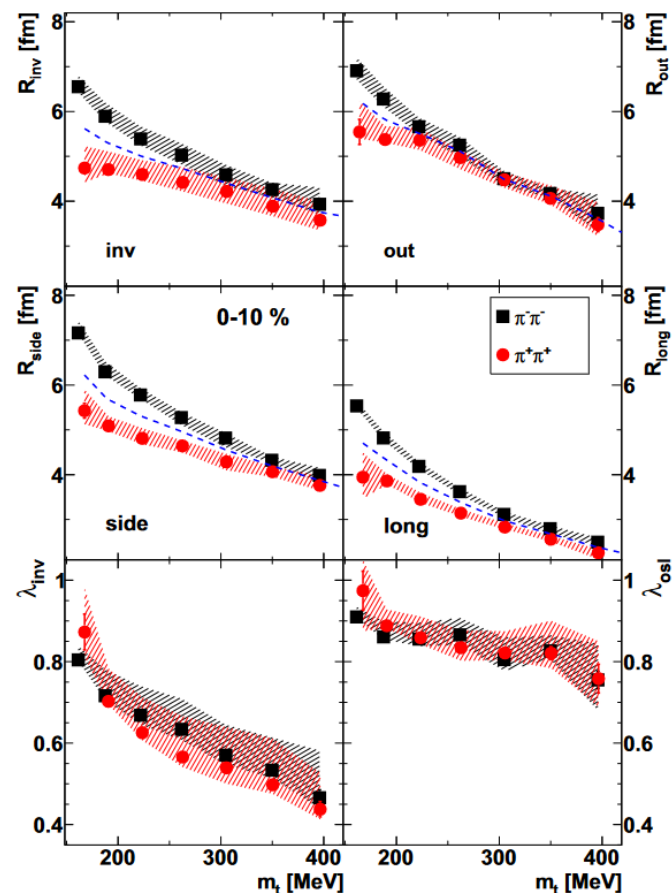
(b) Case B.



(c) Case C.

Pion HBT @ FADES

- Original work from R. Griefenhagen, PhD Thesis (2020), Dresden Technical University, published in *Eur.Phys.J.A* 56 (2020) 4, 140 and *Phys.Lett.B* 795 (2019) 446-451
- Noticeable radii separation at low m_T -> Coulomb effect
- Pion correlation -> „simplest” of correlations -> best for my study

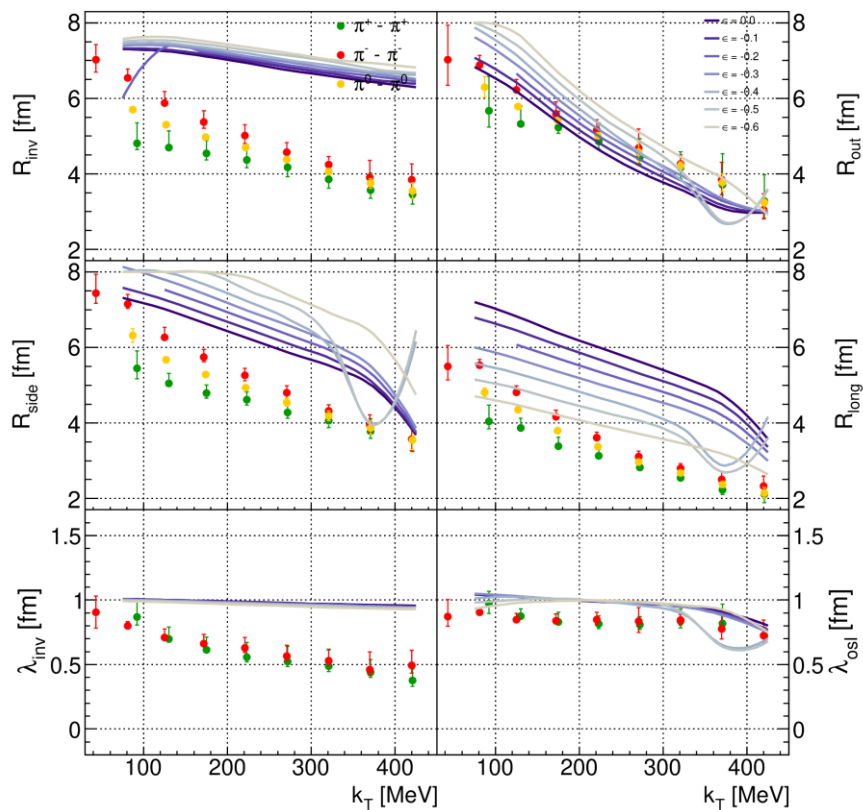


Eur.Phys.J.A 56 (2020) 5, 140
Phys.Lett.B 795 (2019) 446-451

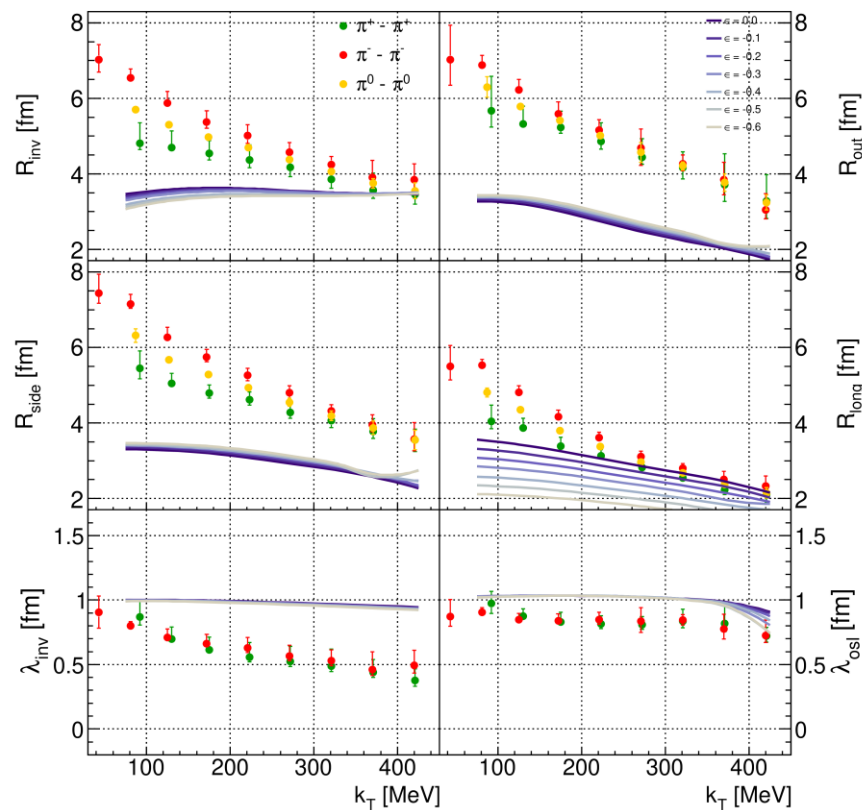
Femtoscscopy in Coalescence Approach

J. Kołaś, MSc Thesis (2022), Faculty of Physics, WUT
 Eur.Phys.J.A 56 (2020) 5, 140
 Phys.Lett.B 795 (2019) 446-451

Case A



Case B

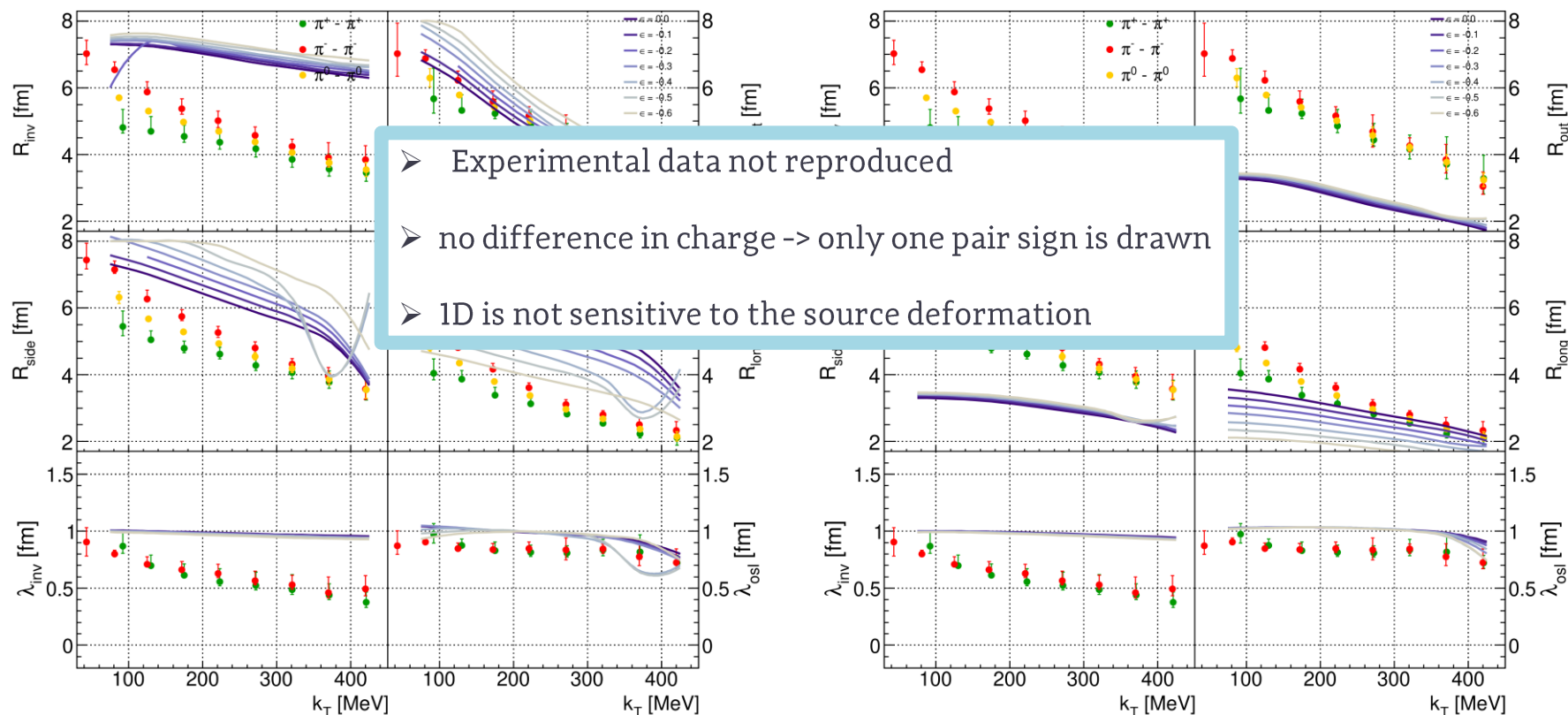


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Case A

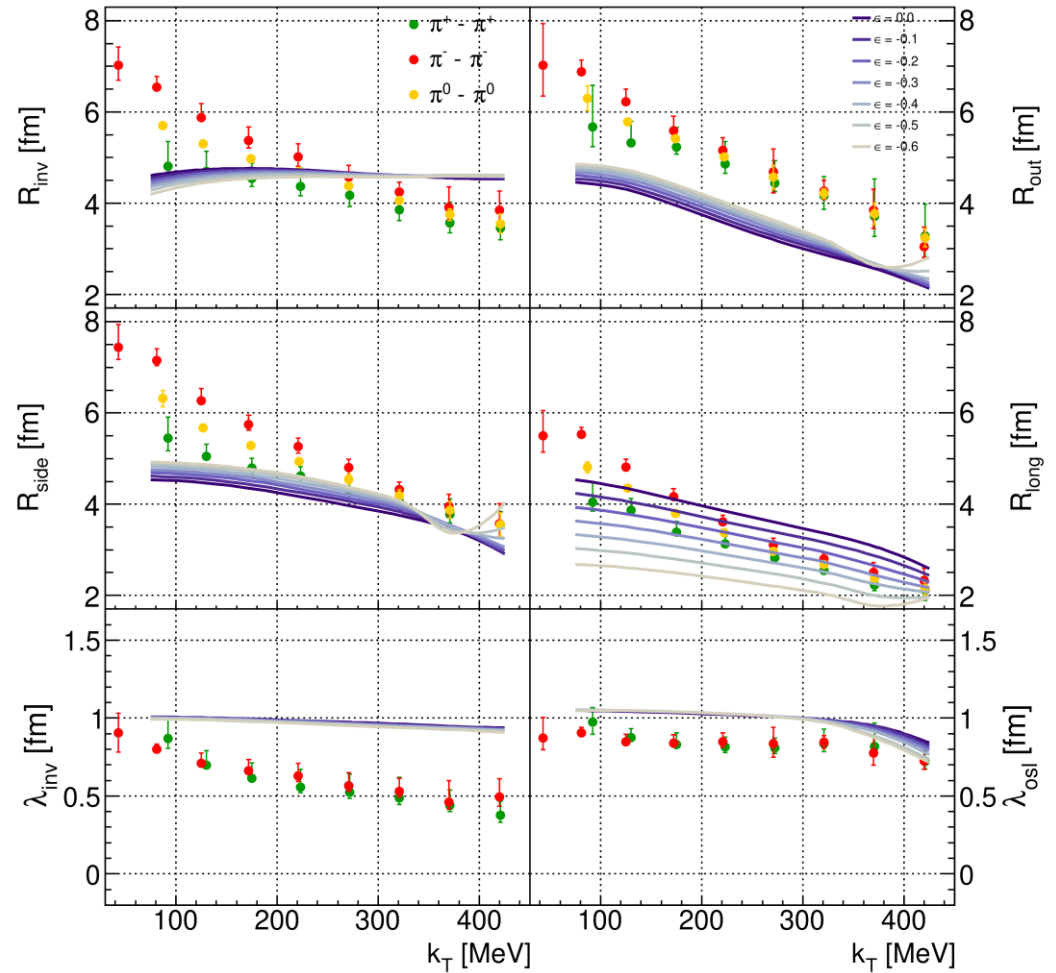
Case B



- Experimental data not reproduced
- no difference in charge -> only one pair sign is drawn
- 1D is not sensitive to the source deformation

Femtoscscopy in Thermal Approach

- Closest reproduction (of all three) of the invariant radius
- Strong position eccentricity dependence in the *long* direction
- Simple afterburner, only QS included



J. Kołaś, MSc Thesis (2022), Faculty of Physics, WUT
 Eur.Phys.J.A 56 (2020) 5, 140
 Phys.Lett.B 795 (2019) 446-451

Summary

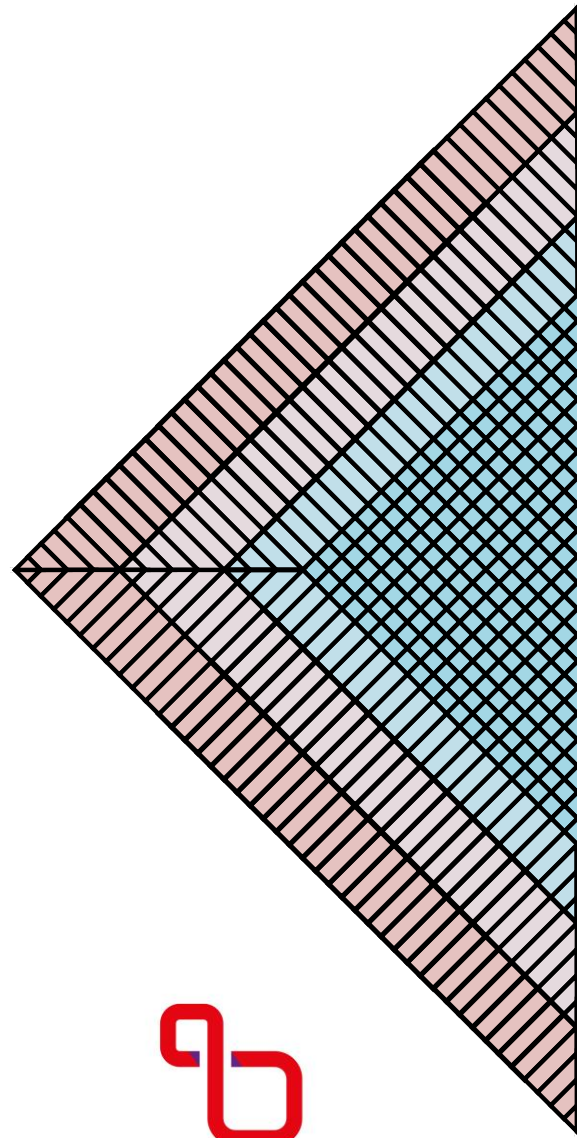
Spherical vs Spheroidal

- The spheroidal model is necessary to reproduce spectra
- It works well for abundant particles (protons and charged pions)

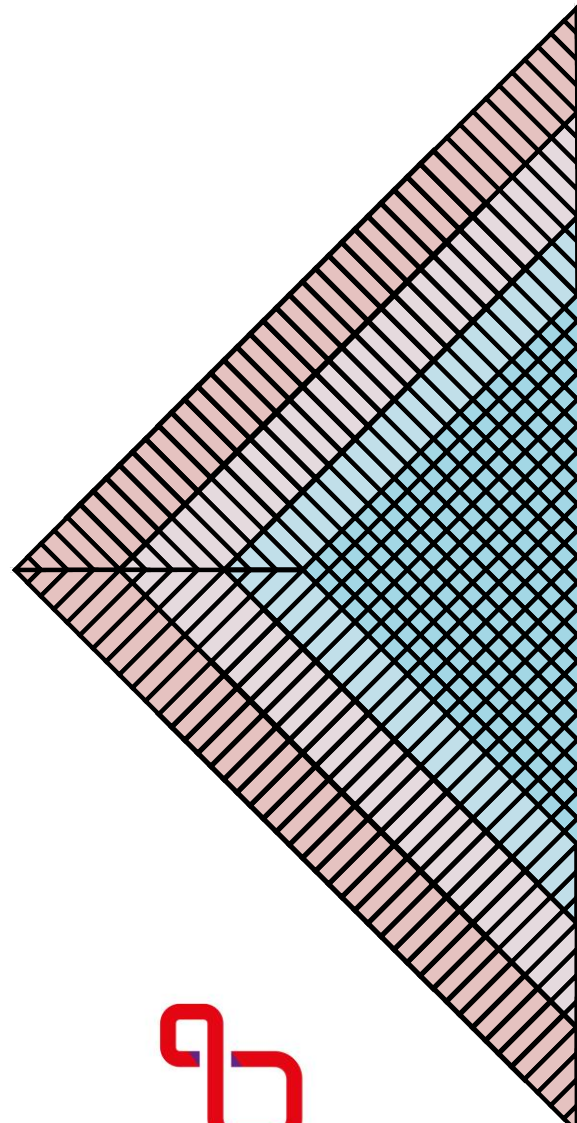
Coalescence vs Thermal

- Resonances play a significant role (for momentum distribution)
- R_{inv} and R_{long} HBT radii are best reproduced in the thermal approach (Case C)
- Proton and pion m_T and y spectra are well reproduced by both Case A and Case B
- Delta resonance favours Case B

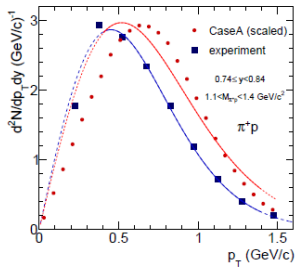
Thank You For Your Attention



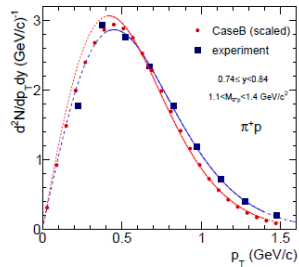
Backup



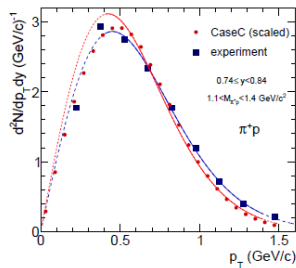
The Delta(1232) and Other Resonances



(a) Case A.



(b) Case B.



(c) Case C.

Case A is not as good...

