

## Non-strange light-meson spectroscopy at COMPASS

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**Summary.** — Lattice-QCD predicts the exotic meson  $\pi_1(1600)$  to dominantly decay to  $b_1\pi$ . The  $b_1\pi$  decay channel is accessible via the  $\omega\pi^-\pi^0$  final state. COMPASS recorded the so far largest data set of this final state. A partial-wave analysis allows to determine the resonant content in this final state including possible contributions from  $\pi_1(1600)$ . Decomposing the measured intensity into amplitudes of partial waves gives a first qualitative insight into contributing intermediate states. We observe signals in agreement with well-established states like the  $\pi(1800)$  and  $a_4(1970)$ . Smaller resonance-like signals are visible in the  $J^{PC}$  sectors  $3^{++}$  and  $6^{++}$ , where possible states were claimed but none are established. For  $J^{PC} = 1^{-+}$  a signal at  $1.65 \text{ GeV}/c^2$  in  $b_1(1235)\pi$  partial waves is consistent with the expected  $\pi_1(1600)$ .

### 1. – Introduction

The constituent quark model describes mesons as  $q\bar{q}$  bound states, systematically following a multiplet structure derived from basic symmetries. However, QCD allows further states beyond this  $q\bar{q}$  configuration. Other possible states — so-called exotic mesons — are hybrids, glueballs, and multi-quark-states. Mesons with  $J^{PC}$  quantum numbers forbidden for a conventional  $q\bar{q}$  state, like  $J^{PC} = 1^{-+}$ , are called spin-exotic mesons. Lattice-QCD predicts the lightest hybrid state as a single pole with  $J^{PC} = 1^{-+}$  [1]. Thanks to recent advances, lattice-QCD also predicts the partial decay widths of this pole from first principle [2], where  $b_1\pi$  is the dominant decay channel. Other channels like  $\rho\pi$ ,  $f_1(1285)\pi$ ,  $\eta^{(\prime)}\pi$ , and  $K^*\bar{K}$  should be suppressed by about an order of magnitude and the final state  $\rho\omega$  is predicted to contribute less than 1% to the total decay width.

Experimentally,  $\pi_1$  signals were observed in different decay modes at masses of  $1.4 \text{ GeV}/c^2$  and  $1.6 \text{ GeV}/c^2$ . As a result, two  $\pi_1$  states were claimed, namely  $\pi_1(1400)$  and  $\pi_1(1600)$ . A coupled-channel analysis of  $\eta\pi$  and  $\eta'\pi$  using COMPASS data demonstrated

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that a single pole is sufficient to describe the partial waves in both decay channels [3]. COMPASS further observed the  $\pi_1(1600)$  decaying to  $\rho\pi$  and  $f_2(1270)\pi$  [4].

Here, we present a new study of the  $b_1\pi$  decay mode of  $\pi_1(1600)$  at COMPASS which requires a partial-wave analysis of the  $\omega\pi^-\pi^0$  final state. We present the recent status of this analysis.

## 2. – Analysis of the $\omega\pi\pi$ final state

At COMPASS excited mesons  $X^-$  are produced by diffractive scattering of an 190 GeV  $\pi^-$  beam off a liquid-hydrogen target. At such energies, Pomeron exchange is expected to be the dominant production mechanism. This process gives access to excited intermediate states  $X = a_J, \pi_J$ . As states in the light-meson sector overlap, a partial-wave analysis is necessary to disentangle the different contributing  $X^-$  mesons. It also allows to measure the quantum numbers of the states. We model the intermediate states — the partial waves — using the isobar model, where  $X^-$  decays to  $\omega\pi\pi$  in successive two-body decays. To uniquely identify a particular partial wave, a set of quantum numbers

$$i = J^P M^\epsilon [\xi l] b L S$$

is necessary. Here,  $J$  is the total spin of  $X^-$ ,  $P$  is the parity, and  $M^\epsilon$  characterises the spin projection of  $X^-$  on the beam axis.  $L$  and  $S$  are the orbital angular momentum and intrinsic spin of the  $X \rightarrow \xi b$  decay, respectively.  $\xi$  is the so-called isobar, an intermediate state in a two-body subsystem of  $\omega\pi\pi$ , which is modelled using known resonances. For  $\omega\pi^-\pi^0$ , the possible two-body subsystems are  $\pi^-\pi^0$ ,  $\omega\pi^-$ , or  $\omega\pi^0$ . We consider the isobars  $\rho(770)$ ,  $\rho(1450)$ , and  $\rho_3(1690)$  for the  $\pi^-\pi^0$  intermediate state and  $b_1(1235)$ ,  $\rho(1450)$ , and  $\rho_3(1690)$  for the  $\omega\pi$  intermediate states. Further,  $l$  is the orbital angular momentum between the two daughters of the isobar.  $b$  is the bachelor particle, e.g. the remaining particle in  $\omega\pi\pi$  outside of the isobar. Two partial waves that differ only in the charge of  $\xi$  and  $b$ , i.e.  $\xi b = b_1(1235)^-\pi^0$  and  $\xi b = b_1(1235)^0\pi^-$ , are expected to have the same amplitude and are combined into one partial wave.

The description of the final state of  $X^-$  requires a set of 8 phase-space variables  $\tau$ . The description of the decay  $X^- \rightarrow \omega\pi^-\pi^0$  via an intermediate state  $\xi$  requires the mass  $m_\xi$  of the intermediate state and two two-particle decays, each described by two angles  $\phi$  and  $\theta$ . In addition the decay of  $\omega \rightarrow \pi^-\pi^0\pi^+$  requires a mass  $m_\omega$  of  $\omega$  and two Dalitz-plot variables.

Following the method presented in ref. [4], we model our measured intensity  $\mathcal{I}$  as

$$(1) \quad \mathcal{I}(m_X, t', \tau) = \left| \sum_i \mathcal{T}_i(m_X, t') \psi_i(m_X, \tau) \right|^2.$$

The intensity depends on the invariant mass  $m_X$  of the excited  $X^-$  state, the squared four-momentum transfer  $t'$ , and the phase-space variables  $\tau$ . In eq. 1 we calculate the decay amplitude  $\psi_i(m_X, \tau)$  using the isobar model. We model the mass line-shapes of isobars as Breit-Wigner resonances with dynamic width using the parameters from ref. [5]. The transition amplitude  $\mathcal{T}_i$  contains all information about the production, the propagation, and the coupling of  $X^-$  to a partial-wave  $i$ . We obtain its complex value by fitting eq. 1 to the measured intensity distribution in a maximum-likelihood fit. We fit  $\mathcal{T}_i$  as independent constants in cells of  $m_X$  and  $t'$ . With this approach, we approximate

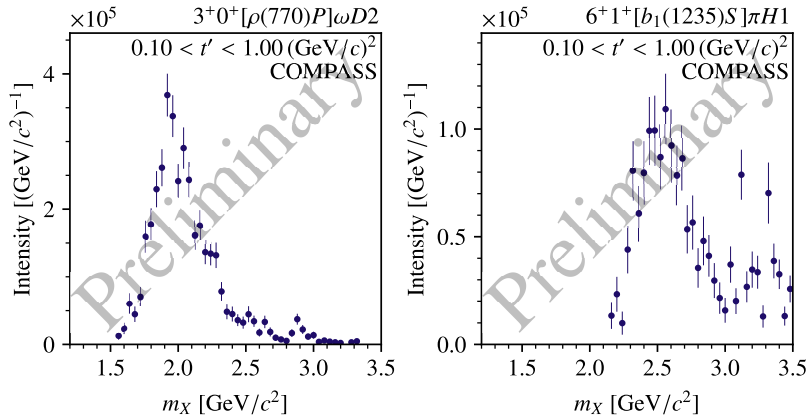


Fig. 1.: Intensities of the  $3^+0^+[\rho(770)P]\omega D2$  (left) and  $6^+1^+[b_1(1235)S]\pi H1$  (right) partial waves.

$\mathcal{T}_i(m_X, t')$  as step-wise constant function without prior knowledge about any resonant content of  $X^-$  in  $i$ .

To perform the fit, one must choose a finite subset of the infinite number of partial waves  $i$  used in eq. 1. Traditionally, this has been done by manually selecting waves based on the expected strength of  $\mathcal{T}_i$ . To reduce potential bias in this selection, we developed an alternative approach at COMPASS based on regularisation-based model-selection techniques. In this approach, a large wave pool is constructed based on loose systematic constraints. In our case, we consider all waves with  $J \leq 8$ ,  $M \leq 2$ ,  $L \leq 8$ , and  $\epsilon = +1$  using all aforementioned isobars. This results in a total of 893 partial-waves. We fit all considered waves for each  $(m_X, t')$  cell using a regularised likelihood. Due to the regularisation most of the waves are close to zero. The remaining waves are used as the wave set that is unique for each cell in  $(m_X, t')$ . By refitting the data with the selected waves and no regularisation we decompose the measured intensity into the amplitudes  $\mathcal{T}_i$  of all significant partial waves  $i$ .

**2.1. Results.** – To discuss the results, we focus on the intensity  $|\mathcal{T}_i|^2$  and the phase  $\arg \mathcal{T}_i$  of a partial wave as a function of  $m_X$ . Since the total phases are not measurable, we consider the phase difference between two partial waves  $\phi = \arg(\mathcal{T}_i - \mathcal{T}_j)$ . For an isolated pole far from thresholds one expects a Breit-Wigner resonance characterised by a peak in the intensity and a phase motion of  $180^\circ$  around the resonances mass. We observe clear signals for the established states  $\pi(1800)$  and  $a_4(1970)$ . In the  $2^{++}$  and  $2^{-+}$  sectors the picture is more complex as multiple established states overlap.

In the intensity of the  $3^+0^+[\rho(770)P]\omega D2$  wave, a clear peak arises around  $m_X = 2.0 \text{ GeV}/c^2$ , shown in fig. 1 (left). Consistent signals are observed in the decays into  $b_1\pi$  and  $\rho_3(1690)\pi$ . The PDG lists two unconfirmed states at nearby masses, the  $a_3(1874)$  and  $a_3(2030)$ . This would be the first observation of an  $a_3$  in these decay channels.

Another sector in which we observe a resonance-like signal is the  $6^{++}$  sector. Figure 1 (right) shows the intensity of the  $6^+1^+[b_1(1235)S]\pi H1$  wave. We observe a clear peak around  $m_X = 2.5 \text{ GeV}/c^2$ , consistent with the  $a_6(2450)$  listed in the PDG. This state has only been seen in one experiment in  $K_S K$  [6] and requires further confirmation. This would be the first observation in the  $b_1(1235)\pi$  decay channel.

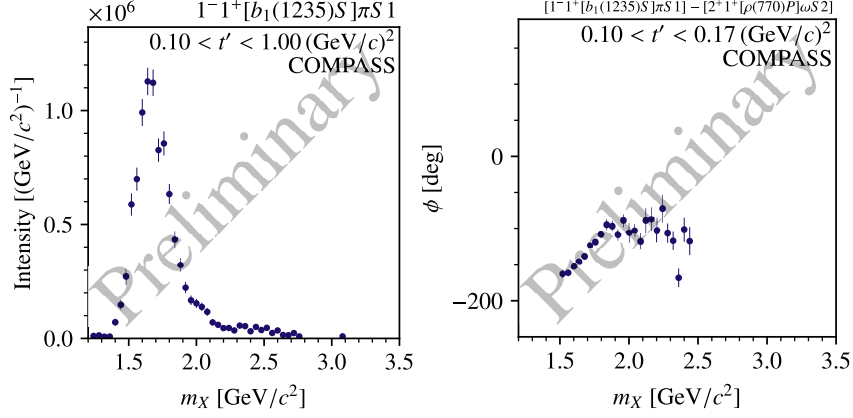


Fig. 2.: *Left*: Intensity of the  $1^{-1^{+}}[b_1(1235)S]\pi S1$  partial wave. *Right*: phase of the same wave w.r.t. the  $2^{+1^{+}}[\rho(770)P]\omega S2$  wave.

In the  $1^{-+}$  sector, we expect to observe a strong contribution from the  $\pi_1(1600)$  in  $b_1\pi$  waves. Figure 2 shows the intensity and phase of the  $1^{-1^{+}}[b_1(1235)S]\pi S1$  wave. A signal close to  $m_X = 1.6 \text{ GeV}/c^2$  suggests a contribution from the well-established spin-exotic meson. We observe a similar signal in the wave where  $b_1(1235)$  decays not via  $S$ - but  $D$ -wave, as shown in fig. 3 (*left*). This signal is consistent with the  $\pi_1(1600)$  observed at COMPASS in  $\rho\pi$  and  $\eta'\pi$  decays. We also observe a resonance-like signal in  $1^{-+}$   $\rho\omega$ -waves, which is shown in fig. 3 (*right*). The  $1^{-1^{+}}[\rho(770)P]\omega P1$  wave exhibits a signal around  $m_X = 1.8 \text{ GeV}/c^2$ . This signal could correspond to the  $\pi_1(1600)$  with a shifted mass due to limited phase space. It would be the first observation of the  $\pi_1(1600)$  in  $\rho(770)\omega$  and would be inconsistent with the prediction of a small  $\rho\omega$  partial decay width of  $\pi_1(1600)$ .

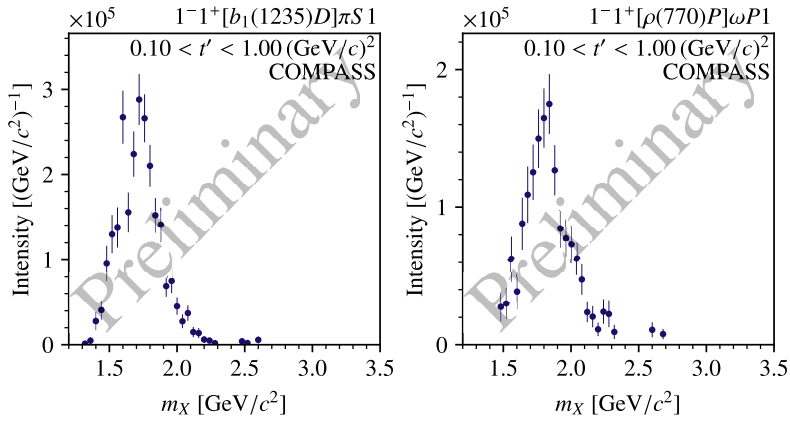


Fig. 3.: Intensities of the  $1^{-1^{+}}[b_1(1235)D]\pi S1$  (*left*) and  $1^{-1^{+}}[\rho(770)P]\omega P1$  (*right*) partial waves.

### 3. – Conclusion and outlook

We have decomposed the COMPASS data selecting the  $\omega\pi^-\pi^0$  and observe clear signals in several partial waves. In addition to the expected resonances, such as the  $a_4(1970)$  and  $\pi(1800)$ , we observe further signals in the  $J^{PC} = 3^{++}$  and  $J^{PC} = 6^{++}$  sectors, where some candidates are listed in the PDG, but no state is yet established. As predicted by lattice-QCD, we observe signals for  $b_1(1235)\pi$  waves in the  $J^{PC} = 1^{-+}$  sector consistent with the  $\pi_1(1600)$ . We also observe a signal in  $\rho\omega$  in the  $J^{PC} = 1^{-+}$  sector. To validate these promising signals and to quantify their parameters, the next step of this analysis is to model the mass dependence of the extracted partial-wave amplitudes.

In addition to the analysis of the  $\omega\pi^-\pi^0$  final state, we investigate further channels. These include the  $K_S K^-$  channel, which is the only channel in which an  $a_6$  state has been observed so far. The  $K_S K_S \pi$  channel is a good candidate for investigating the nature of the  $a_1(1420)$ . It also gives access to the  $K^* \bar{K}$  channel, predicted to have a significant partial decay width of the  $\pi_1(1600)$ . The  $f_1(1285)\pi$  channel could give access to the  $\pi_1(1600)$  as it is predicted to have the second largest partial decay width. Its decay to  $\eta\pi\pi\pi$  is being studied. By including the latter two decay channels, we plan to study the  $\pi_1(1600)$  in practically all of its decay channels at COMPASS and thus obtain a complete picture of this state. This is only possible because of the unique COMPASS data set.

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