

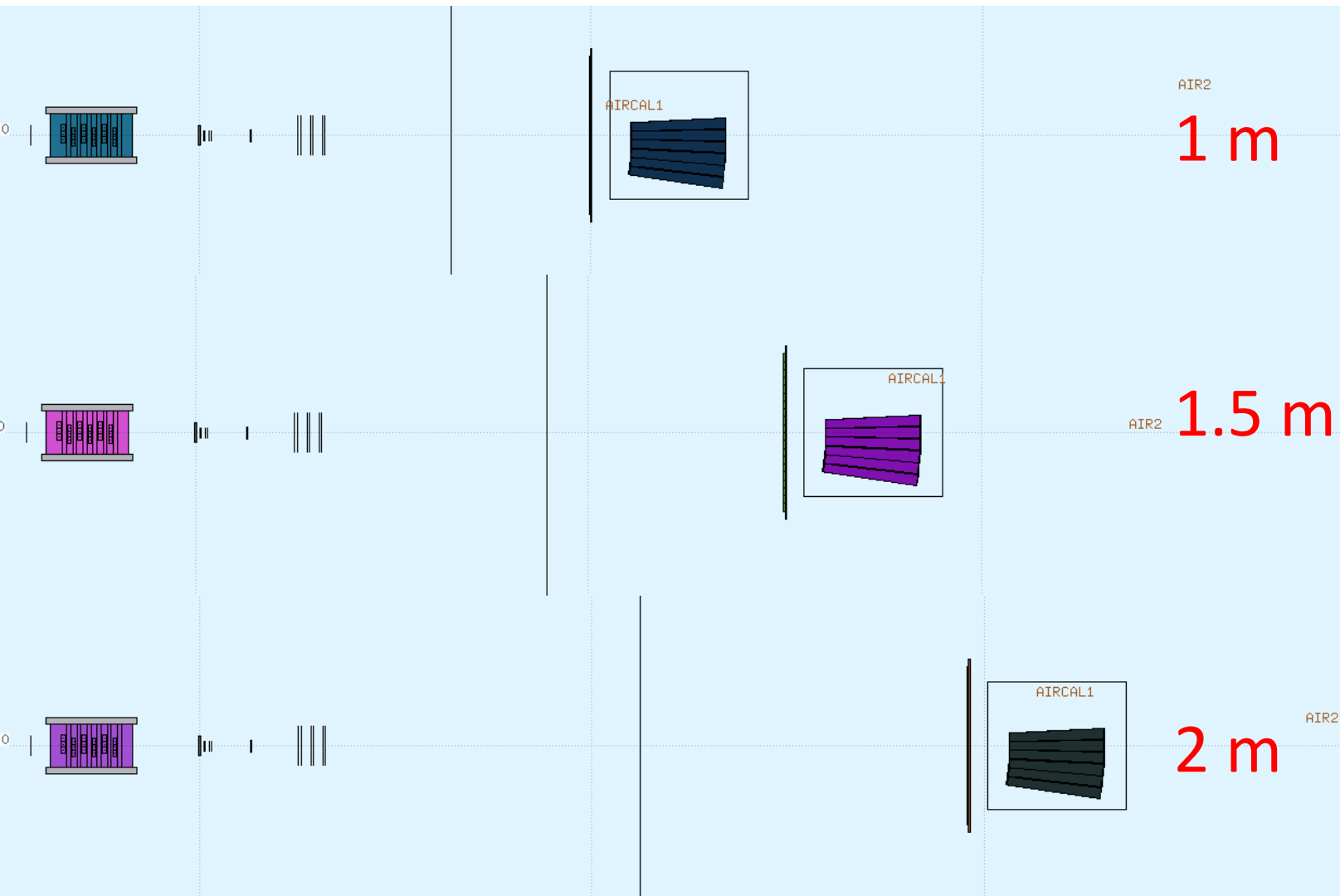
# About the setup for December run CNAO2022

G.B.

Topic:

Optimization of distance from target of the TW+Calo detectors:  
resolution in mass and acceptance for low-Z fragments

# Preliminary simulations at 3 different distances



$^{12}\text{C}$  200 MeV/u on 5 mm C target  
 $10^6$  events for each geometry

Events reconstructed and  
tracked using Genfit ( $Z = Z_{\text{MC}}$ )

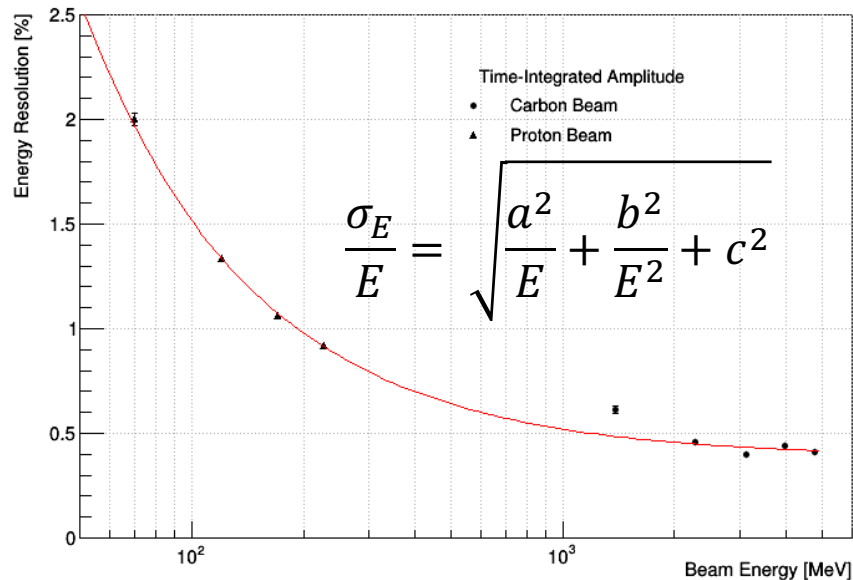
*(Thanks to E. Lopez for the calo geometry)*

# Shoe Reconstruction

Selection: global tracks with a good TW point to which a Calo cluster can be matched

ToF resolution: in MC TW points a resolution fitted to the experimental one is already inserted (*M. Toppi et al.*)

Calo resolution: in the cluster algorithm, for MC events, energy is already smeared according to the fit to test beam data (*available in the Ph.D. of Lorenzo Scavarda*)

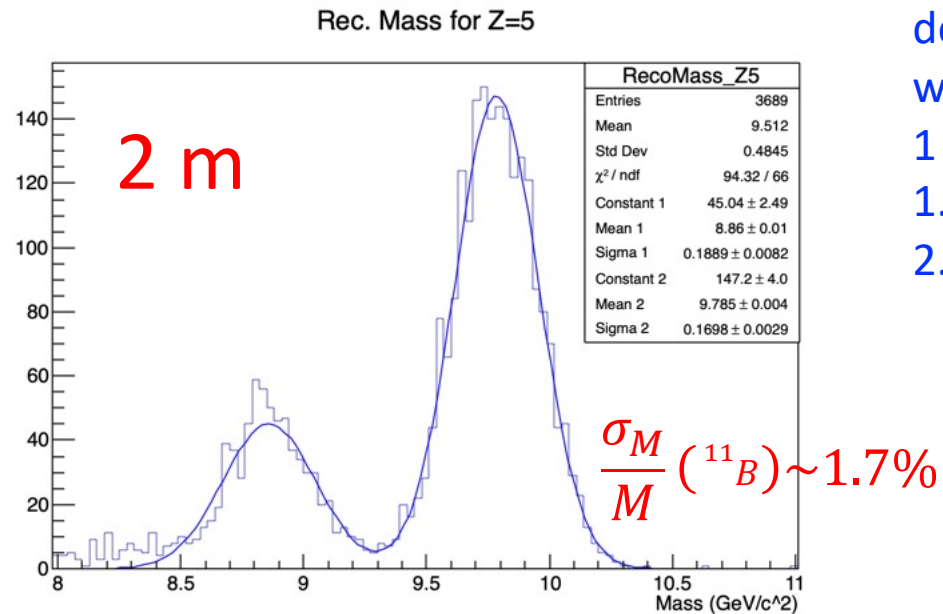
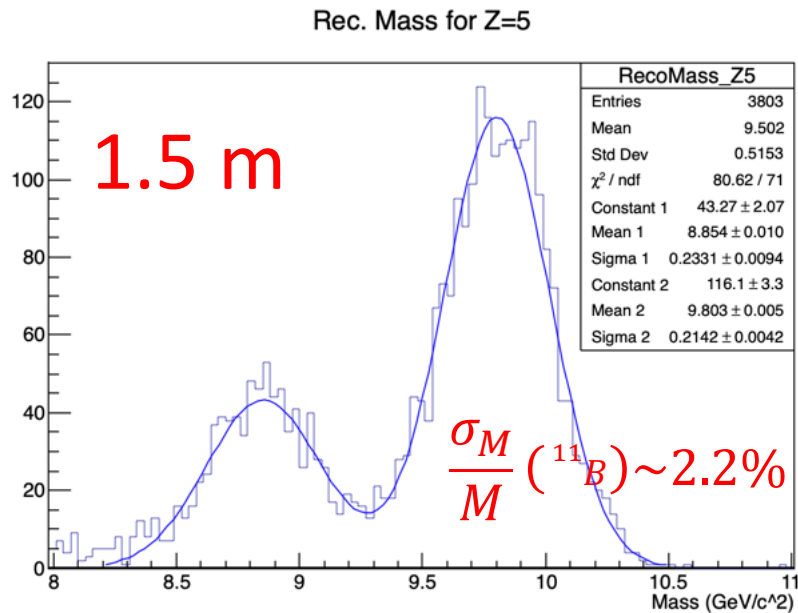
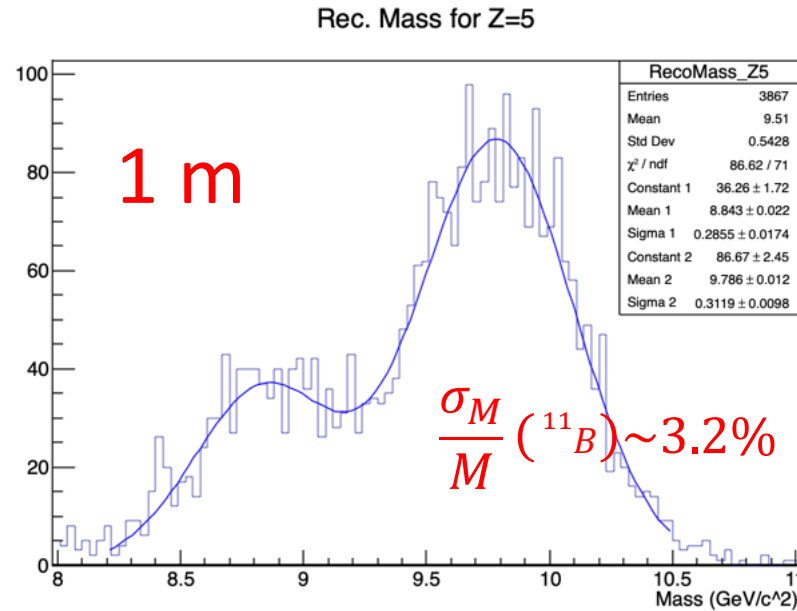


Then mass is reconstructed by the usual combination of E from calo and gamma from ToF:

$$M = \frac{E_k}{(\gamma - 1)}$$

*Of course in MC all crystals are perfectly equalized*

# Z = 5 case (<sup>10</sup>B and <sup>11</sup>B)



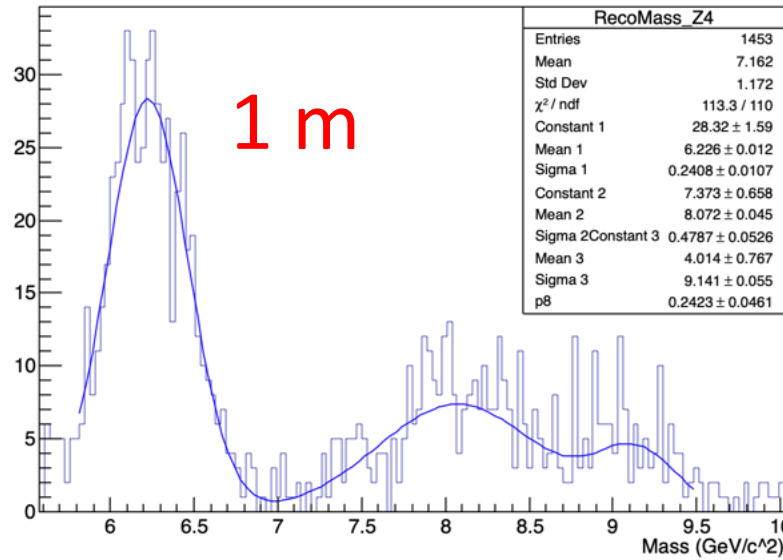
No. of selected events  
does not change much  
with distance:

1 m: 3870  
1.5 m: 3800  
2.0 m: 3690

Notice: masses are peaked to a value which is lower than the true value. Don't know exactly the answer, but at the moment there is no attempt to correct  $E_{\text{meas}}$  for the energy loss in VTX, MSD, IT and TW

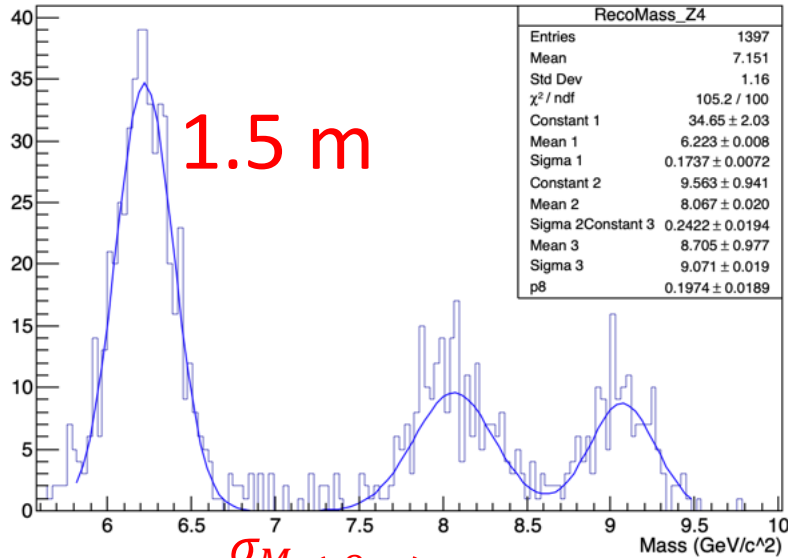
# Z = 4 case (<sup>7</sup>Be, <sup>9</sup>Be and <sup>10</sup>Be)

Rec. Mass for Z=4



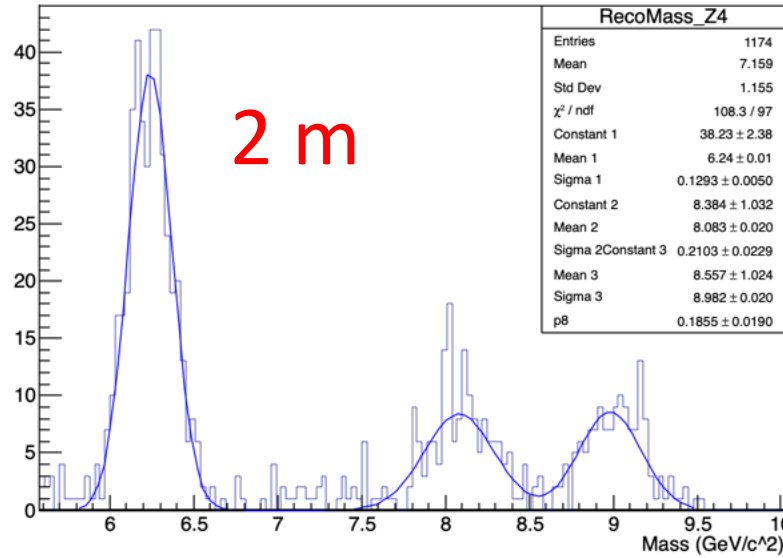
$$\frac{\sigma_M}{M} ({}^9\text{Be}) \sim 5.9\%$$

Rec. Mass for Z=4



$$\frac{\sigma_M}{M} ({}^9\text{Be}) \sim 3.0\%$$

Rec. Mass for Z=4



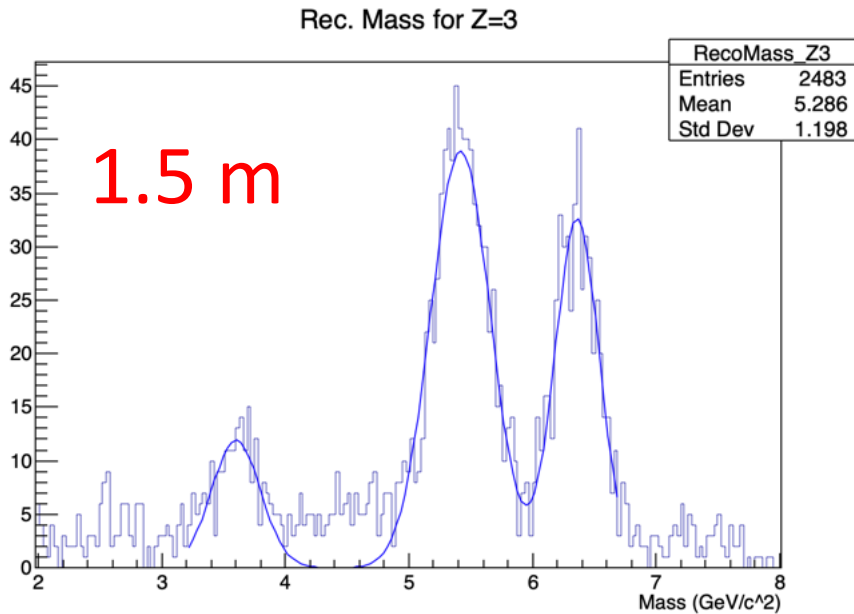
$$\frac{\sigma_M}{M} ({}^9\text{Be}) \sim 2.6\%$$

No. of selected events:

- 1 m: 1450
- 1.5 m: 1400
- 2 m: 1170

# Z = 3 case

(<sup>6</sup>Li, <sup>7</sup>Li, <sup>8</sup>Li [and a bit of <sup>9</sup>Li])



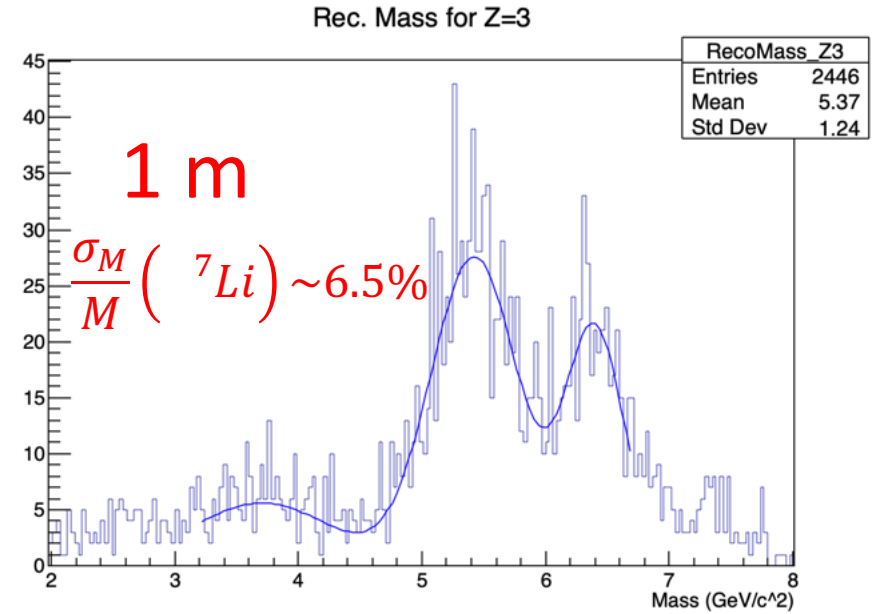
$$\frac{\sigma_M}{M} ({}^7\text{Li}) \sim 4.5\%$$

No. of selected events:

1 m: 2450

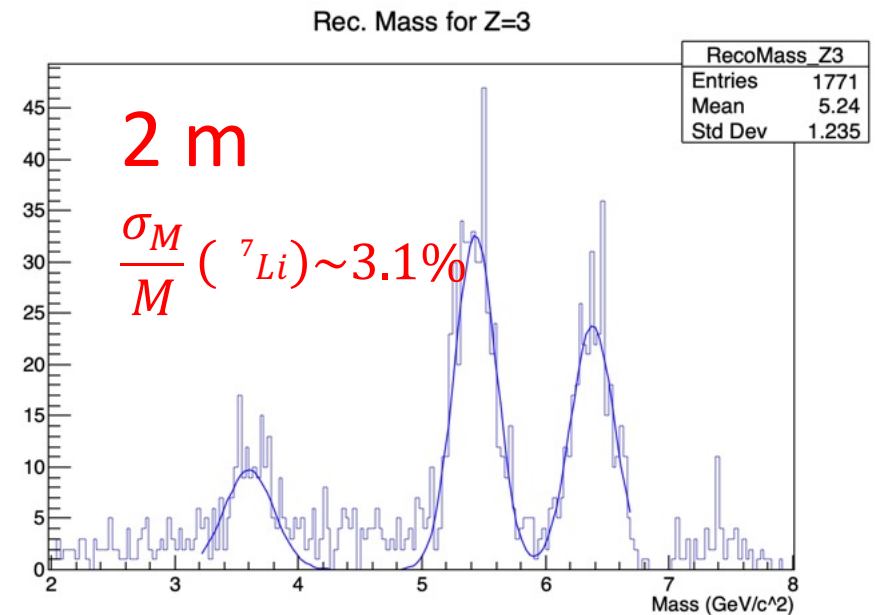
1.5 m: 2480

2 m: 1770



1 m

$$\frac{\sigma_M}{M} ({}^7\text{Li}) \sim 6.5\%$$



2 m

$$\frac{\sigma_M}{M} ({}^7\text{Li}) \sim 3.1\%$$

# Z = 2 case (<sup>3</sup>He, <sup>4</sup>He)

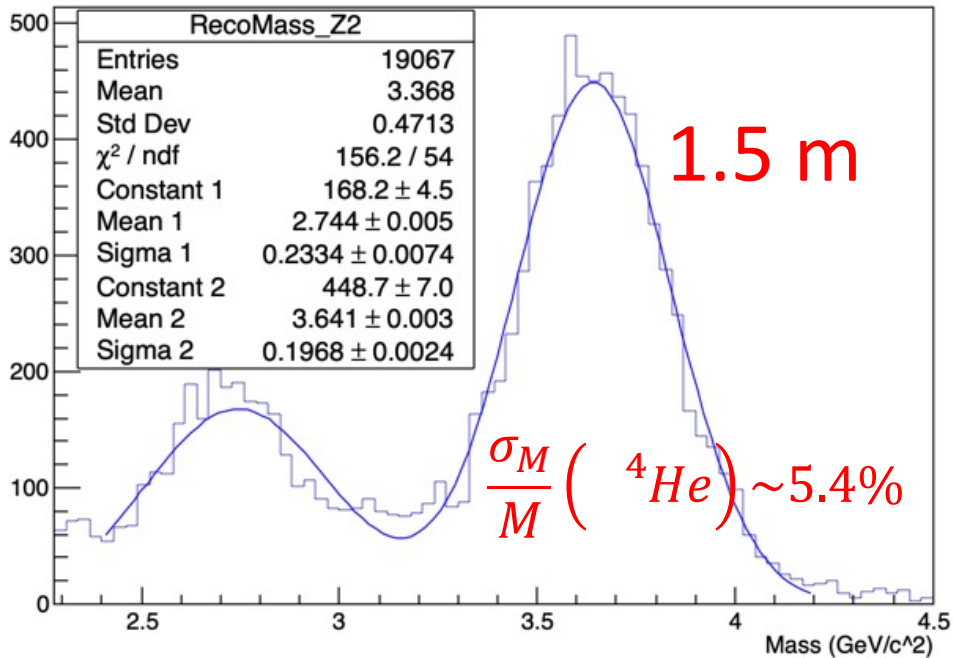
No. of selected events:

1 m: 20470

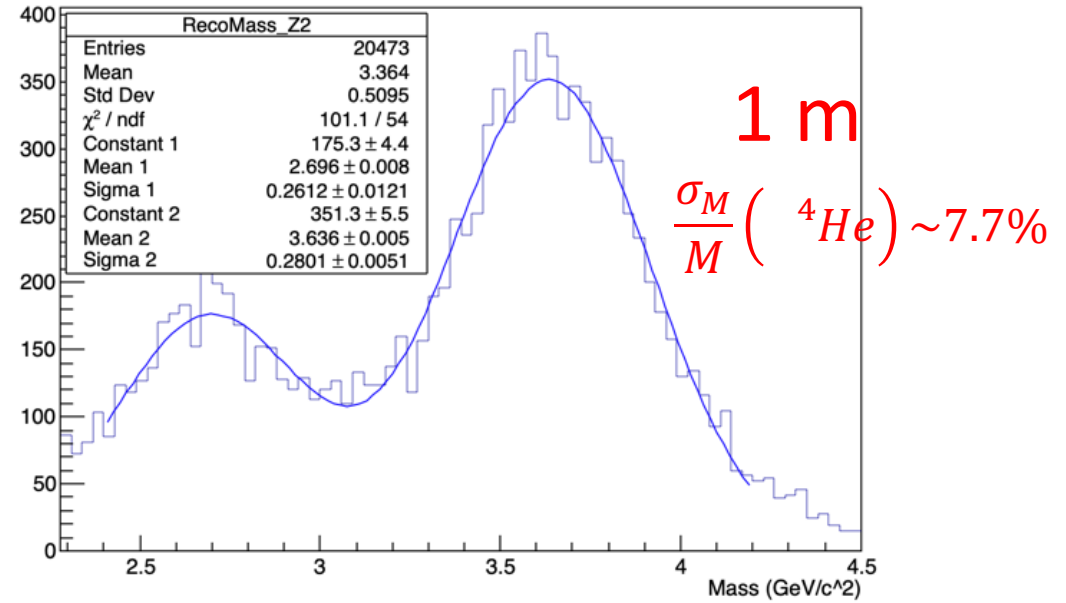
1.5 m: 19070

2 m: 11700

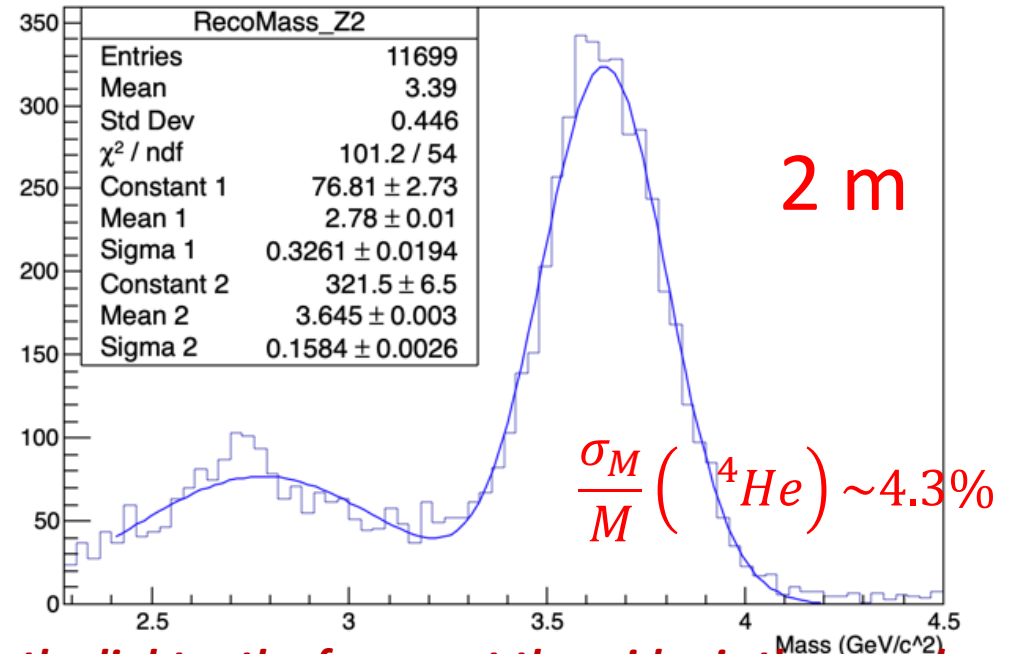
Rec. Mass for Z=2



Rec. Mass for Z=2

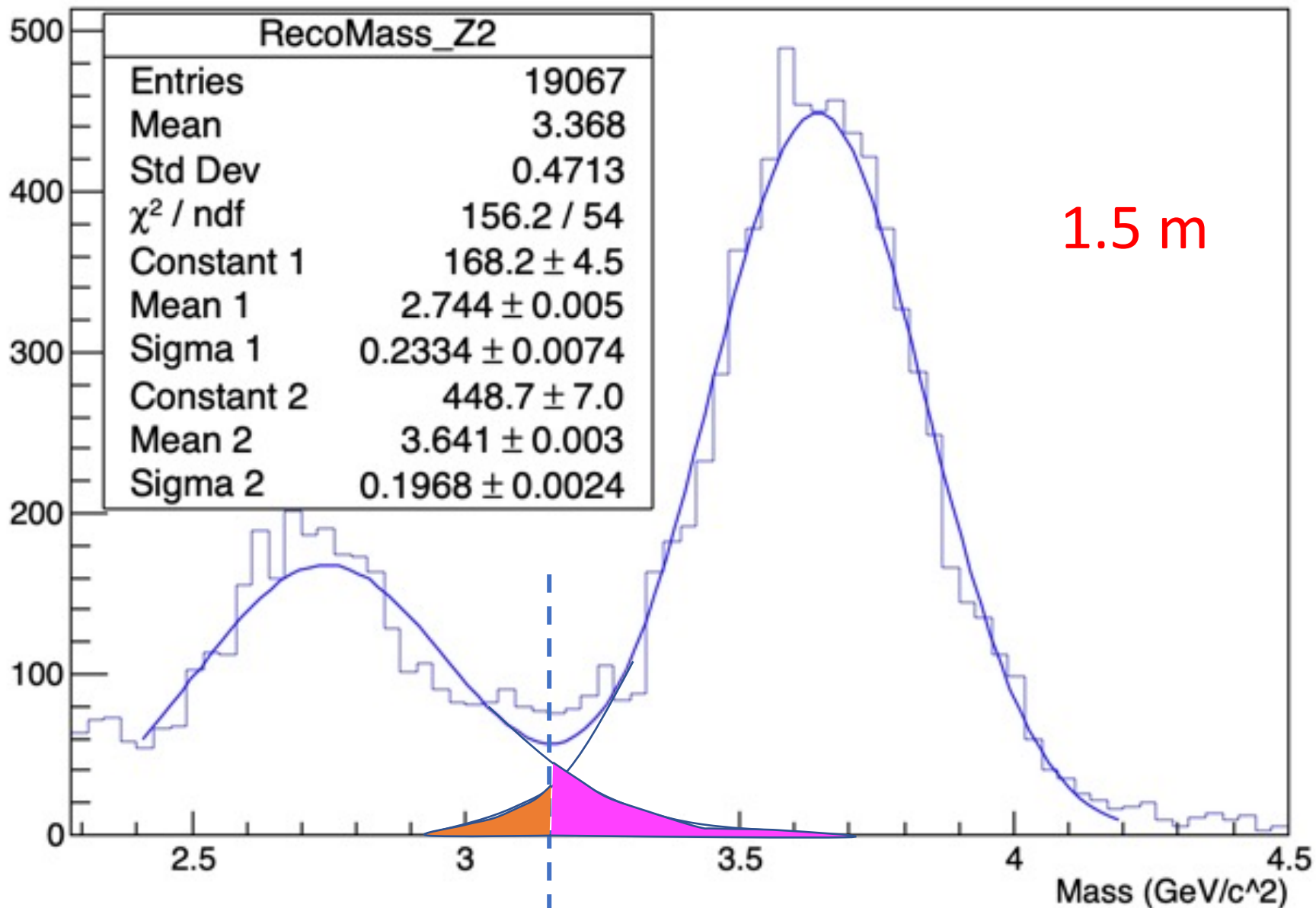


REC. MASS FOR Z=2



→ For increasing distance the ratio of detected <sup>4</sup>He/<sup>3</sup>He increases: the lighter the fragment the wider is the angular spread

# Rec. Mass for Z=2



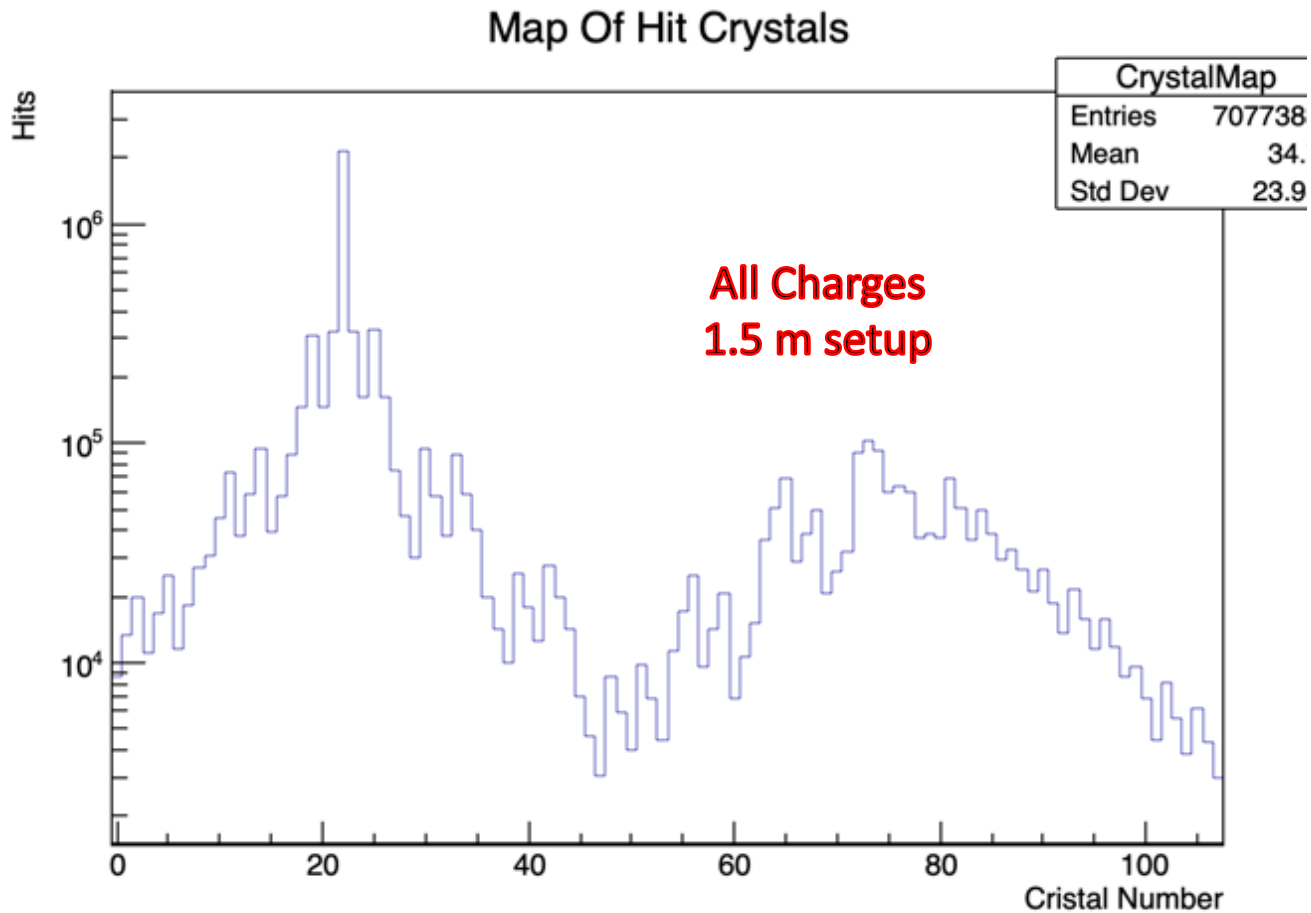
1.5 m

Probability for  ${}^3\text{He}$   
to be taken as  
 ${}^4\text{He}$ : 4.1%  
(~overestimated)

Probability for  ${}^4\text{He}$   
to be taken as  
 ${}^3\text{He}$ : 0.6%



# Map of hit crystals - 1

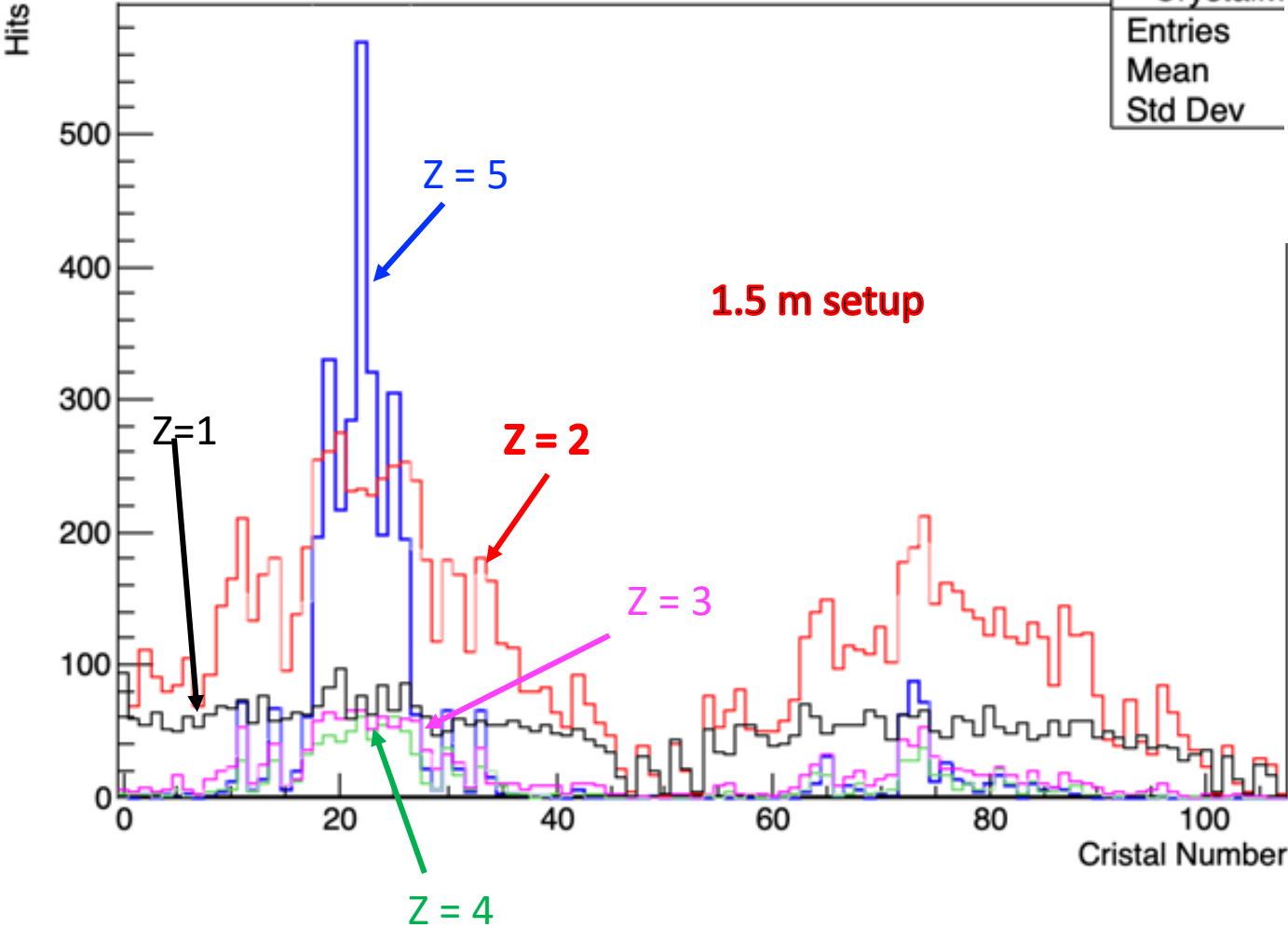


Back view

|    |    |    |    |    |    |    |    |    |    |    |    |    |    |    |     |     |     |
|----|----|----|----|----|----|----|----|----|----|----|----|----|----|----|-----|-----|-----|
| 0  | 1  | 2  | 9  | 10 | 11 | 18 | 19 | 20 | 27 | 28 | 29 | 36 | 37 | 38 | 45  | 46  | 47  |
| 3  | 4  | 5  | 12 | 13 | 14 | 21 | ●  | 23 | 30 | 31 | 32 | 39 | 40 | 41 | 48  | 49  | 50  |
| 6  | 7  | 8  | 15 | 16 | 17 | 24 | 25 | 26 | 33 | 34 | 35 | 42 | 43 | 44 | 51  | 52  | 53  |
| 54 | 55 | 56 | 63 | 64 | 65 | 72 | 73 | 74 | 81 | 82 | 83 | 90 | 91 | 92 | 99  | 100 | 101 |
| 57 | 58 | 59 | 66 | 67 | 68 | 75 | 76 | 77 | 84 | 85 | 86 | 93 | 94 | 95 | 102 | 103 | 104 |
| 60 | 61 | 62 | 69 | 70 | 71 | 78 | 79 | 80 | 87 | 88 | 89 | 96 | 97 | 98 | 105 | 106 | 107 |

# Map of hit crystals - 2

Map Of Hit Crystals for Z=5



| CrystalM |
|----------|
| Entries  |
| Mean     |
| Std Dev  |

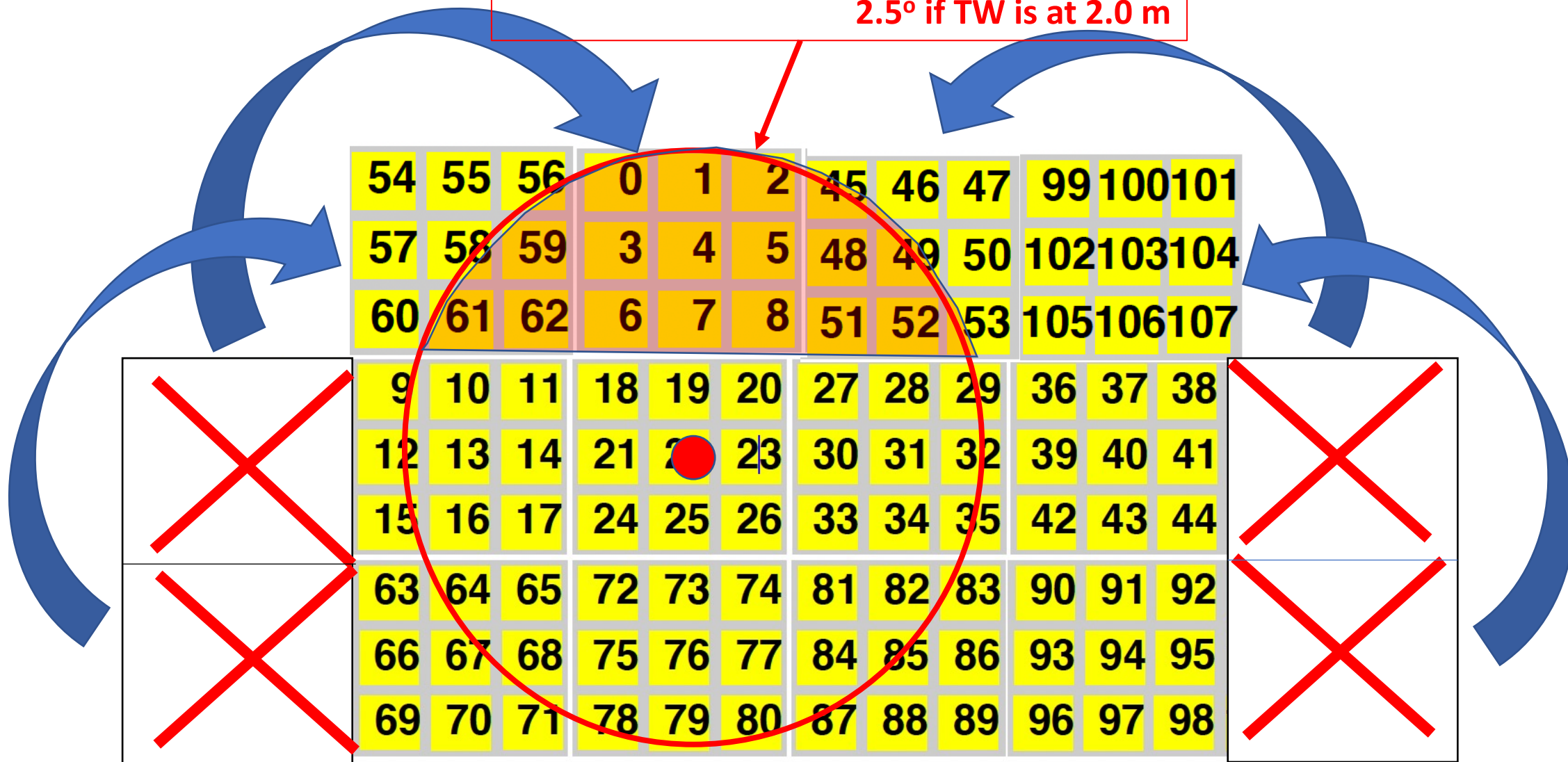
Back view

|    |    |    |    |    |    |    |    |    |    |    |    |    |    |    |     |     |     |
|----|----|----|----|----|----|----|----|----|----|----|----|----|----|----|-----|-----|-----|
| 0  | 1  | 2  | 9  | 10 | 11 | 18 | 19 | 20 | 27 | 28 | 29 | 36 | 37 | 38 | 45  | 46  | 47  |
| 3  | 4  | 5  | 12 | 13 | 14 | 21 | ●  | 23 | 30 | 31 | 32 | 39 | 40 | 41 | 48  | 49  | 50  |
| 6  | 7  | 8  | 15 | 16 | 17 | 24 | 25 | 26 | 33 | 34 | 35 | 42 | 43 | 44 | 51  | 52  | 53  |
| 54 | 55 | 56 | 63 | 64 | 65 | 72 | 73 | 74 | 81 | 82 | 83 | 90 | 91 | 92 | 99  | 100 | 101 |
| 57 | 58 | 59 | 66 | 67 | 68 | 75 | 76 | 77 | 84 | 85 | 86 | 93 | 94 | 95 | 102 | 103 | 104 |
| 60 | 61 | 62 | 69 | 70 | 71 | 78 | 79 | 80 | 87 | 88 | 89 | 96 | 97 | 98 | 105 | 106 | 107 |

Should we think if it is convenient to re-assemble the calo modules in a different way?

For instance, something like that (or similar)?

Cone of semiaperture: **3.2°** if TW is at 1.5 m  
**2.5°** if TW is at 2.0 m



We should gain useful solid angle for  $Z \geq 2$

# Conclusions

- I withdraw my early proposal for the 1 m solution
- *Provided that the calo resolution is analogous to what has been measured in the dedicated test beams*, for distances  $\geq 1.5$  m, the ToF error contribution seems to become less relevant: there is not an important difference between 1.5 and 2 m
- At 1.5 m there is some gain in acceptance for  $Z \leq 3-4$  with respect to the 2 m case (*do not think only to the small solid angle of the calorimeter, but to all that is arriving to TW*)

1) My proposal is then to set the distance of 1.5 m as the best trade-off between mass resolution and acceptance: the mass resolution is very close to what you get at 2 m and there is some gain in statistics

2) Should we re-assemble the calorimeter modules in a different way? → This would require one day more (in advance to Dec. 4) for mechanical operation/recabling ...

# Appendix

- For those who wish to play a little bit with expectations for November run, in Tier3 you can find a  $10^6$  simulated event (200 MeV/u) sample in:

[/gpfs\\_data/local/foot/Simulation/CNAO2022\\_MC/12C\\_C\\_200\\_nov2022\\_shoereg.root](/gpfs_data/local/foot/Simulation/CNAO2022_MC/12C_C_200_nov2022_shoereg.root)

- Geometry includes also the small drift chamber (not producing hits, just to take into account the material):

