The landscape of QCD axion models

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In 10 years from now ?



[LDL, Giannotti, Nardi, Visinelli 2003.01100 (Phys. Rept.)]

An experimental opportunity





In 10 years from now ?



[LDL, Giannotti, Nardi, Visinelli 2003.01100 (Phys. Rept.)]

QCD axion

Strong CP problem

$$\delta \mathcal{L}_{QCD} = \theta \frac{g_s^2}{32\pi^2} G \tilde{G} \qquad [\theta' \leq 10^{-10}$$
The function of the end of the

• Assume a new spin-0 boson with a pseudo-shift symmetry $a \rightarrow a + \alpha f_a$



 $E(0) \le E(\langle a \rangle)$ [Vafa-Witten, PRL 53 (1984)]

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• Does the axion really relax to zero ?

 $\mathcal{D}\varphi \equiv dA^a_\mu \det\left(\not\!\!\!D + M\right)$



path-integral measure positive definite only for a vector-like theory (e.g. QCD) does not apply to the SM !

• Assume a new spin-0 boson with a pseudo-shift symmetry $a \rightarrow a + \alpha f_a$



Does the axion really relax to zero?

 $\theta_{\rm eff} \sim G_F^2 f_\pi^4 j_{\rm CKM} \approx 10^{-18}$

[Georgi Randall, NPB276 (1986) Okawa, Pospelov, Ritz, 2111.08040]

PQ mechanism works accidentally in the SM !

 $j_{\rm CKM} = \operatorname{Im} V_{ud} V_{cd}^* V_{cs} V_{us}^* \approx 10^{-5}$

• Assume a new spin-0 boson with a pseudo-shift symmetry $a \rightarrow a + \alpha f_a$



 $E(0) \le E(\langle a \rangle)$

[Peccei, Quinn '77, Weinberg '78, Wilczek '78]

1. spontaneously broken (axion is the associated pNGB)

• its origin can be traced back to a <u>global</u> $U(1)_{PQ}$

2. QCD anomalous



$$\partial^{\mu} J^{PQ}_{\mu} = \frac{N\alpha_s}{4\pi} G \cdot \tilde{G}$$

- Consequences of $\frac{a}{f_a} \frac{g_s^2}{32\pi^2} G\tilde{G}$
 - I. axion mass



$$m_a = 5.691(51) \,\mu \text{eV} \, \frac{10^{12} \text{ GeV}}{f_a}$$

[Gorghetto, Villadoro, 1812.01008 (NNLO chiPT) Bonati, D'Elia, Mariti, Martinelli, Mesiti, Negro, Sanfilippo, Villadoro, 1512.06746 (lattice) Borsanyi et al, 1606.07494 (lattice)]



- Consequences of $\frac{a}{f_a} \frac{g_s^2}{32\pi^2} G\tilde{G}$
 - 3. EFT breaks down at energies of order f_a



UV completion can drastically affect low-energy axion properties !

I. Axion-photon







[LDL, Giannotti, Nardi, Visinelli 2003.01100 (Phys. Rept.)]



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05/11

2. Axion-SM fermions





flavour-violating axion coupling

enhance/suppress C_{p,n,e}

[LDL, Mescia, Nardi, Panci, Ziegler, 1712.04940 + 1907.06575 ''Astrophobic Axions'']



3. CP-violating axions

[Moody, Wilczek PRD30 (1984)]

 $\mathcal{L} \supset g_{aN}^S a \overline{N} N + g_{af}^P a \overline{f} i \gamma_5 f$



from UV sources of CP-violation e.g. $\mathcal{O}_{\rm CPV} = (\overline{u}u)(\overline{d}i\gamma_5 d)$

[Barbieri, Romanino, Strumia hep-ph/9605368 Pospelov hep-ph/9707431 Bigazzi, Cotrone, Jarvinen, Kiritsis 1906.12132 Bertolini, LDL, Nesti 2006.12508 Okawa, Pospelov, Ritz, 2111.08040 Dekens, de Vries, Shain, 2203.11230]



$$a - QCD - a + a - QCD + O_{CPV}$$

3. CP-violating axions

[Moody, Wilczek PRD30 (1984)]

 $\mathcal{L} \supset g_{aN}^S a \overline{N} N + g_{af}^P a \overline{f} i \gamma_5 f$

$$g_{aN}^S \sim \frac{f_\pi}{f_a} \theta_{\text{eff}}$$

from UV sources of CP-violation

New macroscopic forces from non-relativistic potentials



3. CP-violating axions

[Moody, Wilczek PRD30 (1984)]









Benchmark axion models

• global U(1)_{PQ} (QCD anomalous + spontaneously broken)



Benchmark axion models

• global U(1)_{PQ} (QCD anomalous + spontaneously broken)



(also no flavour and CP-violating effects)

Axions beyond benchmarks



enhance Wilson coefficient for fixed m_a

[LDL, Mescia, Nardi 1610.07593 + 1705.05370 Farina, Pappadopulo, Rompineve, Tesi 1611.09855 Agrawal, Fan, Reece, Wang 1709.06085 Darme', LDL, Giannotti, Nardi 2010.15846 Ringwald, Sokolov 2104.02574]



suppress axion mass for fixed f_a

[Hook 1802.10093, LDL, Gavela, Quilez, Ringwald 2102.00012 + 2102.01082]

QCD axion parameter space <u>much larger</u> than what traditionally thought

Axion-Photon



$$g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_a} \qquad \overbrace{C_{a\gamma} = E/N - 1.92(4)}^{C_{a\gamma} = E/N - 1.92(4)} \qquad \partial^{\mu} J^{PQ}_{\mu} = \frac{N\alpha_s}{4\pi} G \cdot \tilde{G} + \frac{\frac{E_0}{2} \alpha_2^{1}}{4\pi} F \cdot F_{m_s \sim v_p_q}}_{U(1)_{PQ}} \xrightarrow{\sigma} global \\ \xrightarrow{U(1)_{PQ}} \sigma global \\ \xrightarrow{\sigma} \sigma glo$$

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DESY

Enhancing $g_{a\gamma}$

$$g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_a}$$

$C_{a\gamma} = E/N - 1.92(4)$

	R_Q	\mathcal{O}_{Qq}	$\Lambda_{\rm Landau}^{\rm 2-loop}[{\rm GeV}]$	E/N
	(3, 1, -1/3)	$\overline{Q}_L d_R$	$9.3 \cdot 10^{38}(g_1)$	2/3
	(3, 1, 2/3)	$\overline{Q}_L u_R$	$5.4 \cdot 10^{34}(g_1)$	8/3
R^w_Q	(3, 2, 1/6)	$\overline{Q}_R q_L$	$6.5 \cdot 10^{39}(g_1)$	5/3
	(3, 2, -5/6)	$\overline{Q}_L d_R H^\dagger$	$4.3 \cdot 10^{27}(g_1)$	17/3
	(3, 2, 7/6)	$\overline{Q}_L u_R H$	$5.6 \cdot 10^{22}(g_1)$	29/3
	(3, 3, -1/3)	$\overline{Q}_R q_L H^\dagger$	$5.1 \cdot 10^{30}(g_2)$	14/3
	(3, 3, 2/3)	$\overline{Q}_R q_L H$	$6.6 \cdot 10^{27}(g_2)$	20/3
R_Q^s	(3, 3, -4/3)	$\overline{Q}_L d_R H^{\dagger 2}$	$3.5 \cdot 10^{18}(g_1)$	44/3
	$(\overline{6}, 1, -1/3)$	$\overline{Q}_L \sigma_{\mu\nu} d_R G^{\mu\nu}$	$2.3 \cdot 10^{37}(g_1)$	4/15
	$(\overline{6}, 1, 2/3)$	$\overline{Q}_L \sigma_{\mu\nu} u_R G^{\mu\nu}$	$5.1 \cdot 10^{30}(g_1)$	16/15
	$(\overline{6}, 2, 1/6)$	$\overline{Q}_R \sigma_{\mu\nu} q_L G^{\mu\nu}$	$7.3 \cdot 10^{38}(g_1)$	2/3
	(8, 1, -1)	$\overline{Q}_L \sigma_{\mu\nu} e_R G^{\mu\nu}$	$7.6 \cdot 10^{22}(g_1)$	8/3
	(8, 2, -1/2)	$\overline{Q}_R \sigma_{\mu\nu} \ell_L G^{\mu\nu}$	$6.7 \cdot 10^{27}(g_1)$	4/3
	(15, 1, -1/3)	$\overline{Q}_L \sigma_{\mu\nu} d_R G^{\mu\nu}$	$8.3 \cdot 10^{21}(g_3)$	1/6
	(15, 1, 2/3)	$\overline{Q}_L \sigma_{\mu\nu} u_R G^{\mu\nu}$	$7.6 \cdot 10^{21}(g_3)$	2/3

 $\partial^{\mu}J_{\mu}^{PQ} = \frac{N\alpha_{s}}{4\pi}G \cdot \tilde{G} + \frac{E}{4\pi}\Theta_{2}^{\frac{1}{2}(v_{PQ} + \rho(z))e^{iA(x)/v_{PQ}}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0}^{\frac{\sigma}{2}=v_{PQ}/\sqrt{2}}g_{0$

- I. Q-fermions short lived (no coloured relics)
- 2. No Landau poles below Planck



[LDL, Mescia, Nardi 1610.07593]

Enhancing $g_{a\gamma}$

$$g_{a\gamma} = \frac{\alpha}{2\pi} \frac{C_{a\gamma}}{f_a}$$

$$C_{a\gamma} = E/N - 1.92(4)$$





- More Q's ? [LDL, Mescia, Nardi 1705.05370]

E/N < 170/3 (perturbativity)

 $g_{a\gamma} \to 0$

["such a cancellation is immoral, but not unnatural", D. B. Kaplan, NPB260 (1985)]

- Going <u>above</u> E/N = 170/3 ?
 - boost global charge (clockwork) \rightarrow backup slides
 - be agnostic, E/N is a free parameter

Enhancing $g_{a\gamma}$



- 1. exp.s have just started to constrain E/N from above
- 2. E/N \sim 1.92 appears as a tuned region in theory space

Suppressing m_a

Standard QCD axion

[Di Vecchia, Veneziano, NPB171 (1980) Leutwyler, Smilga, PRD46 (1992) Grilli di Cortona, Hardy, Vega, Villadoro, 1511.02867]



Suppressing m_a

• Z_2 axion: mirror world



Suppressing m_a

• Z_N axion: N mirror worlds [Hook 1802.10093]

$$\mathrm{SM}_k \longrightarrow \mathrm{SM}_{k+1 \, (\mathrm{mod} \, \mathcal{N})}$$

 $a \longrightarrow a + \frac{2\pi k}{\mathcal{N}} f_a ,$

 $SM \qquad SM_{k=1} \\ Z_N \qquad SM_{k=2} \\ SM_{k=3} \\ ... \\ ... \\ SM_{k=3} \\ ... \\ ... \\ SM_{k=3} \\ ... \\ SM_{k=3} \\ ... \\ ... \\ SM_{k=3} \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ... \\ ...$

the axion ($\theta_a \equiv a/f_a$) realizes the Z_N symmetry non-linearly

$$\mathcal{L} = \sum_{k=0}^{\mathcal{N}-1} \left[\mathcal{L}_{\mathrm{SM}_k} + \frac{\alpha_s}{8\pi} \left(\theta_a + \frac{2\pi k}{\mathcal{N}} \right) G_k \widetilde{G}_k \right]$$

[LDL, Gavela, Quilez, Ringwald 2102.00012]

$$V_{\mathcal{N}}(\theta_a) = -m_{\pi}^2 f_{\pi}^2 \sum_{k=0}^{\mathcal{N}-1} \sqrt{1 - \frac{4z}{(1+z)^2}} \sin^2\left(\frac{\theta_a}{2} + \frac{\pi k}{\mathcal{N}}\right) \qquad z \equiv \frac{m_u}{m_d} \sim 1/2$$

$$\simeq \frac{m_{\pi}^2 f_{\pi}^2}{\sqrt{\pi}} \sqrt{\frac{1-z}{1+z}} \mathcal{N}^{-1/2} (-1)^{\mathcal{N}} z^{\mathcal{N}} \cos(\mathcal{N}\theta_a)$$

axion potential exponentially suppressed at large N

Suppressing m_a

• Z_N axion: N mirror worlds [Hook 1802.10093]

$$\mathrm{SM}_k \longrightarrow \mathrm{SM}_{k+1 \, (\mathrm{mod} \, \mathcal{N})}$$

 $a \longrightarrow a + \frac{2\pi k}{\mathcal{N}} f_a \,,$

e.g. Z_3 axion





[LDL, Gavela, Quilez, Ringwald 2102.00012]

N needs to be odd in order to have a minimum in zero

(strong CP problem is solved with 1/N probability)

Suppressing m_a

• Z_N axion: N mirror worlds

[LDL, Gavela, Quilez, Ringwald 2102.00012 + 2102.01082]



$$m_a^2 \simeq \frac{m_\pi^2 f_\pi^2}{f_a^2} \frac{1}{\sqrt{\pi}} \sqrt{\frac{1-z}{1+z}} \ \mathcal{N}^{3/2} \ z^{\mathcal{N}}$$

universal enhancement of all axion couplings w.r.t. standard QCD axion

CASPEr-Electric could disentangle enhanced coupling vs. suppressed mass mechanism \rightarrow backup slides

Conclusions

- Take home message
 - axion properties are <u>UV dependent</u>
 - I. enhanced/suppressed axion couplings
 - 2. modified m_a f_a relation
 - 3. flavour violating axions
 - 4. CP-violating axions

if an "axion-like particle" will be ever discovered away from the canonical QCD window, it might still have something to do with strong CP violation



A photo- and electro-philic Axion ?

• Consider a DFSZ-like construction with 2 + n Higgs doublets + a SM singlet Φ

 $\mathcal{L}_Y = Y_u \,\overline{Q}_L u_R H_u + Y_d \,\overline{Q}_L d_R H_d + Y_e \,\overline{L}_L e_R H_e$

$$\frac{E}{N} = \frac{\frac{4}{3}\mathcal{X}(H_u) + \frac{1}{3}\mathcal{X}(H_d) + \mathcal{X}(H_e)}{\frac{1}{2}\mathcal{X}(H_u) + \frac{1}{2}\mathcal{X}(H_d)} \qquad g_{ae} = \frac{\mathcal{X}(H_e)}{2N} \frac{m_e}{f_a}$$

naively, a large PQ charge for H_e would make the job... but, enhanced global symmetry

$$U(1)^{n+3} \to U(1)_{\mathrm{PQ}} \times U(1)_Y$$

must be explicitly broken in the scalar potential via non-trivial invariants (e.g. $H_u H_d \Phi^2$)

A photo- and electro-philic Axion ?

- Consider a DFSZ-like construction with 2 + n Higgs doublets + a SM singlet Φ

clockwork-like scenarios allow to consistently boost E/N [LDL, Mescia, Nardi 1705.05370]

$$\frac{E}{N} = \frac{\frac{4}{3}\mathcal{X}(H_u) + \frac{1}{3}\mathcal{X}(H_d) + \mathcal{X}(H_e)}{\frac{1}{2}\mathcal{X}(H_u) + \frac{1}{2}\mathcal{X}(H_d)} \qquad g_{ae} = \frac{\mathcal{X}(H_e)}{2N} \frac{m_e}{f_a}$$

$$(H_u H_d \Phi^2)$$

$$(H_k H_{k-1}^*)(H_{k-1}^* H_d^*) \qquad \land \textcircled{OOOOOOOO} \land \land \land \land = q^{N_A} \qquad E/N \sim 2^{n+1}$$

 $(H_eH_n)(H_nH_d)$

[See also Farina et al. 1611.09855, for KSVZ clockwork]

$$\mathcal{X}(H_e) = 2^{n+1} \left(1 - \frac{v_e^2}{v^2} \right) - \sum_{k=2}^n 2^k \frac{v_k^2}{v^2}$$

How to tell which mechanism ?

CASPEr-Electric could disentangle enhanced coupling vs. suppressed mass



CASPEr-Electric

Cosmic Axion Spin Precession Experiment

Axion DM field induces an oscillating nEDM

$$\mathcal{L} \supset -\frac{i}{2} \underbrace{g_d a \,\overline{n} \sigma_{\mu\nu} \gamma_5 n F^{\mu\nu}}_{d_n(t) = g_d \frac{\sqrt{2\rho_{\rm DM}}}{m_a} \cos(m_a t)}$$

...which is detected via NMR techniques



[Graham, Rajendran <u>1306.6088</u>, Budker+ <u>1306.6089</u>, Jackson Kimball+ <u>1711.08999</u>]



CPV axion & long-range forces

• New <u>CP violation</u> in the UV can source a scalar axion-nucleon coupling

$$\frac{f_{\pi}}{2} \frac{a^2}{f_a^2} \overline{N}N \longrightarrow \overline{g}_{aN} a \overline{N}N \qquad \overline{g}_{aN} \sim \frac{f_{\pi}}{f_a} \theta_{\text{eff}} \qquad \theta_{\text{eff}} = \frac{\langle a \rangle}{f_a} \neq 0$$

[Moody, Wilczek PRD30 (1984)]

CPV axion & long-range forces

• New <u>CP violation</u> in the UV can source a scalar axion-nucleon coupling



A new master formula

• Moody-Wilczek formula

[Moody, Wilczek PRD30 (1984)]

$$\overline{g}_{aN} = \frac{1}{2} \frac{\overline{\theta}_{\text{eff}}}{f_a} \frac{m_u m_d}{m_u + m_d} \langle N | \overline{u}u + \overline{d}d | N \rangle \simeq \frac{1}{2} \overline{\theta}_{\text{eff}} \left(\frac{17 \text{ MeV}}{f_a} \right)$$

• From bary-meson chiral Lagrangian

[Bertolini, LDL, Nesti <u>2006.12508]</u>

$$\overline{g}_{an,p} \simeq \frac{4B_0 m_u m_d}{f_a (m_u + m_d)} \left[\pm (b_D + b_F) \frac{\langle \pi^0 \rangle}{F_\pi} + \frac{b_D - 3b_F}{\sqrt{3}} \frac{\langle \eta_8 \rangle}{F_\pi} - \sqrt{\frac{2}{3}} (3b_0 + 2b_D) \frac{\langle \eta_0 \rangle}{F_\pi} - \left(b_0 + (b_D + b_F) \frac{m_{u,d}}{m_d + m_u} \right) \overline{\theta}_{\text{eff}} \right]$$

meson tadpoles

iso-spin breaking

MW missed a factor 1/2

An application: Left-Right

• Low-scale (PQ)Left-Right with P-parity

4-quark op. from W_R exchange

 $\mathcal{O}_1^{ud} = (\overline{u}u)(\overline{d}i\gamma_5 d)$



 $c_3(U_{11}^{\dagger}U_{22} - U_{11}U_{22}^{\dagger})$

$$U = \exp\left[\frac{2i}{\sqrt{6}F_0}\eta_0 I + \frac{2i}{F_{\pi}}\Pi\right]$$

$$\frac{\langle \pi^0 \rangle}{F_{\pi}} \simeq \frac{G_F}{\sqrt{2}} \, \mathcal{C}_1^{[ud]} \, \frac{c_3}{B_0 F_{\pi}^2} \frac{m_u + m_d + 4m_s}{m_u m_d + m_d m_s + m_s m_u}$$
$$\frac{\langle \eta_8 \rangle}{F_{\pi}} \simeq \frac{G_F}{\sqrt{2}} \, \mathcal{C}_1^{[ud]} \, \frac{\sqrt{3}c_3}{B_0 F_{\pi}^2} \frac{m_d - m_u}{m_u m_d + m_d m_s + m_s m_u}$$
$$\theta_{\text{eff}} \simeq \frac{G_F}{\sqrt{2}} \, \mathcal{C}_1^{[ud]} \, \frac{2c_3}{B_0 F_{\pi}^2} \frac{m_d - m_u}{m_u m_d}$$

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[Bertolini, LDL, Nesti <u>2006.12508</u> PRL126 (2021)]

An application: Left-Right

Low-scale (PQ)Left-Right with P-parity

[Bertolini, LDL, Nesti <u>2006.12508</u> PRL126 (2021)]

4 CPV observables (ε , ε' , d_n , \overline{g}_{aN}) function of a single phase α

$$\langle \Phi \rangle = \operatorname{diag} \left\{ v_1, e^{i\alpha} v_2 \right\}$$



CP-violating axions

• Rethinking the axion as a portal to UV sources of CP-violation



strong CP problem or strong CP opportunity?