



# Exploiting the radio signal from air showers: the AERA progress

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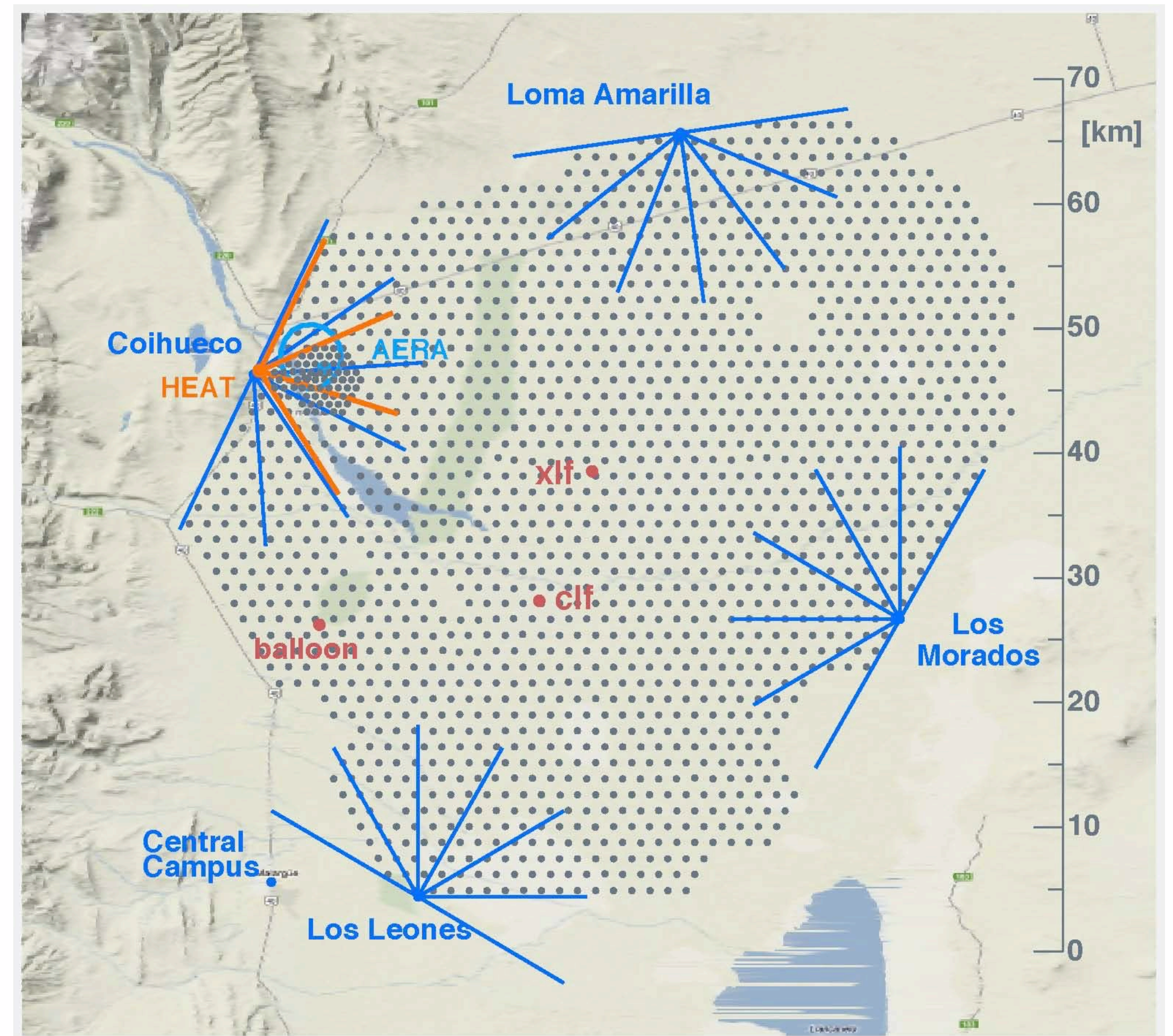
# Where?

## The Pierre Auger Observatory

- 1660 Cherenkov tanks (SD)
- 3000 km<sup>2</sup>
- 4 fluorescence sites (FD, 27 telescopes)

## Auger Engineering Radio Array (AERA)

- the largest cosmic ray radio array in the world



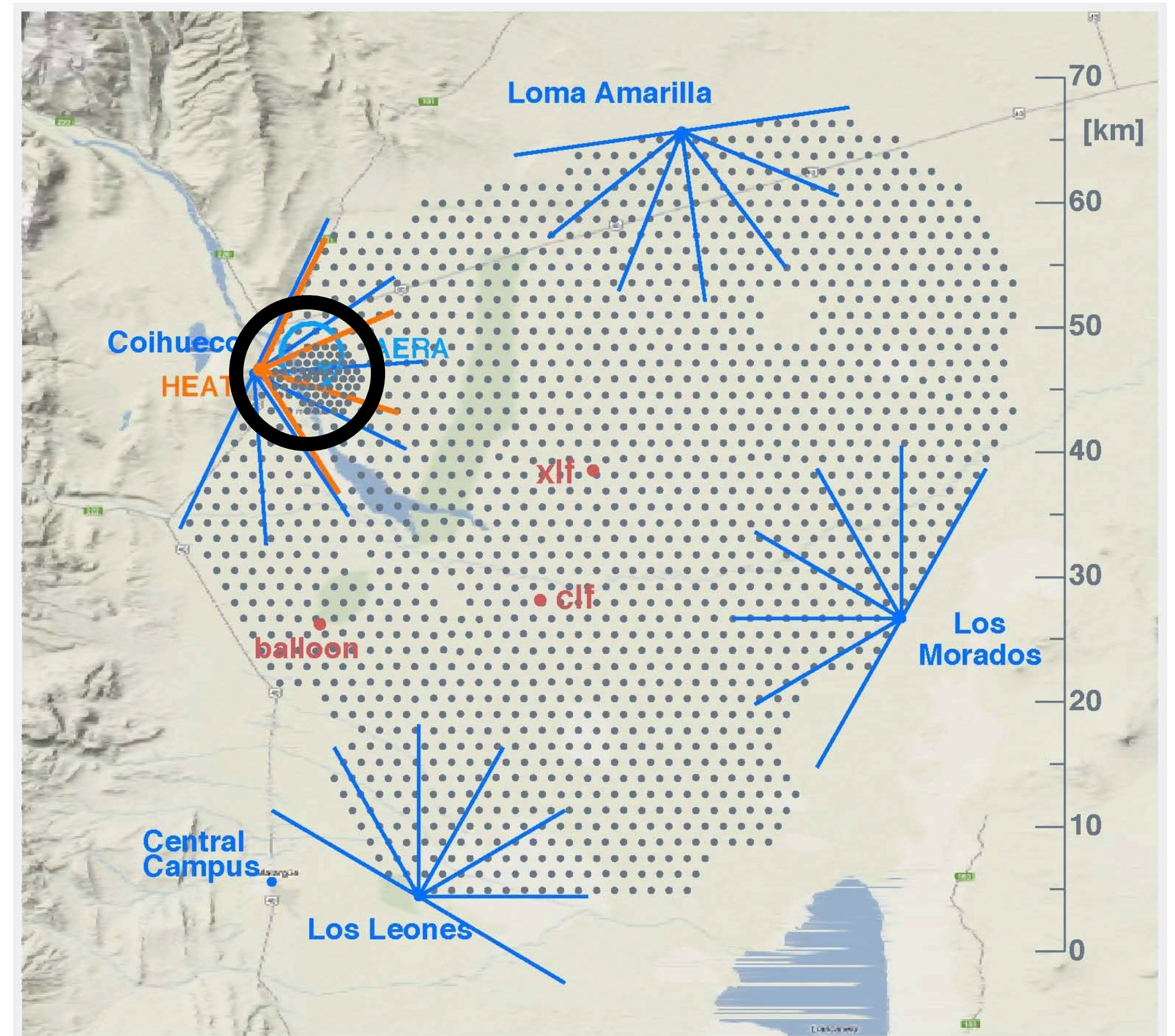
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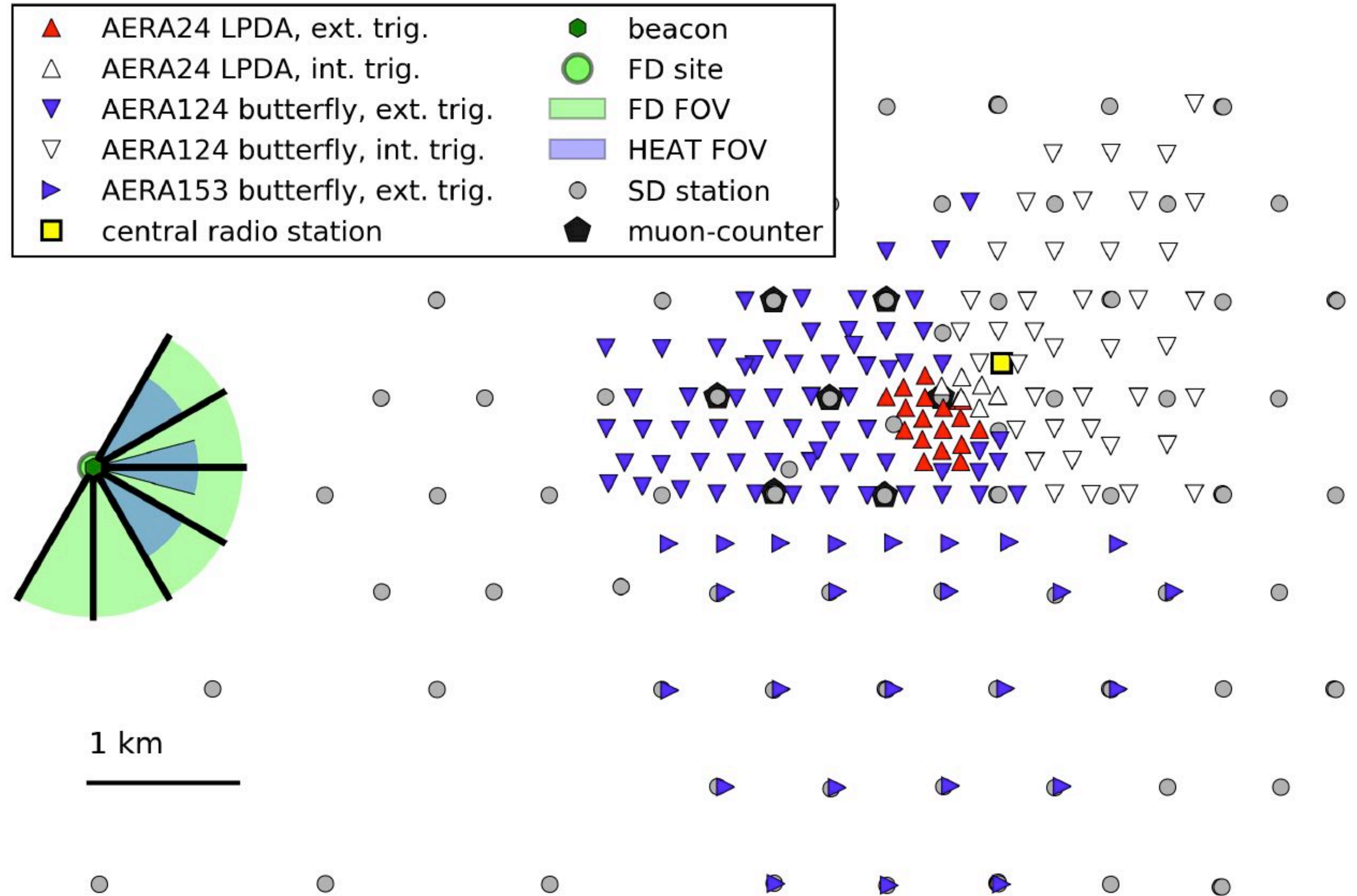
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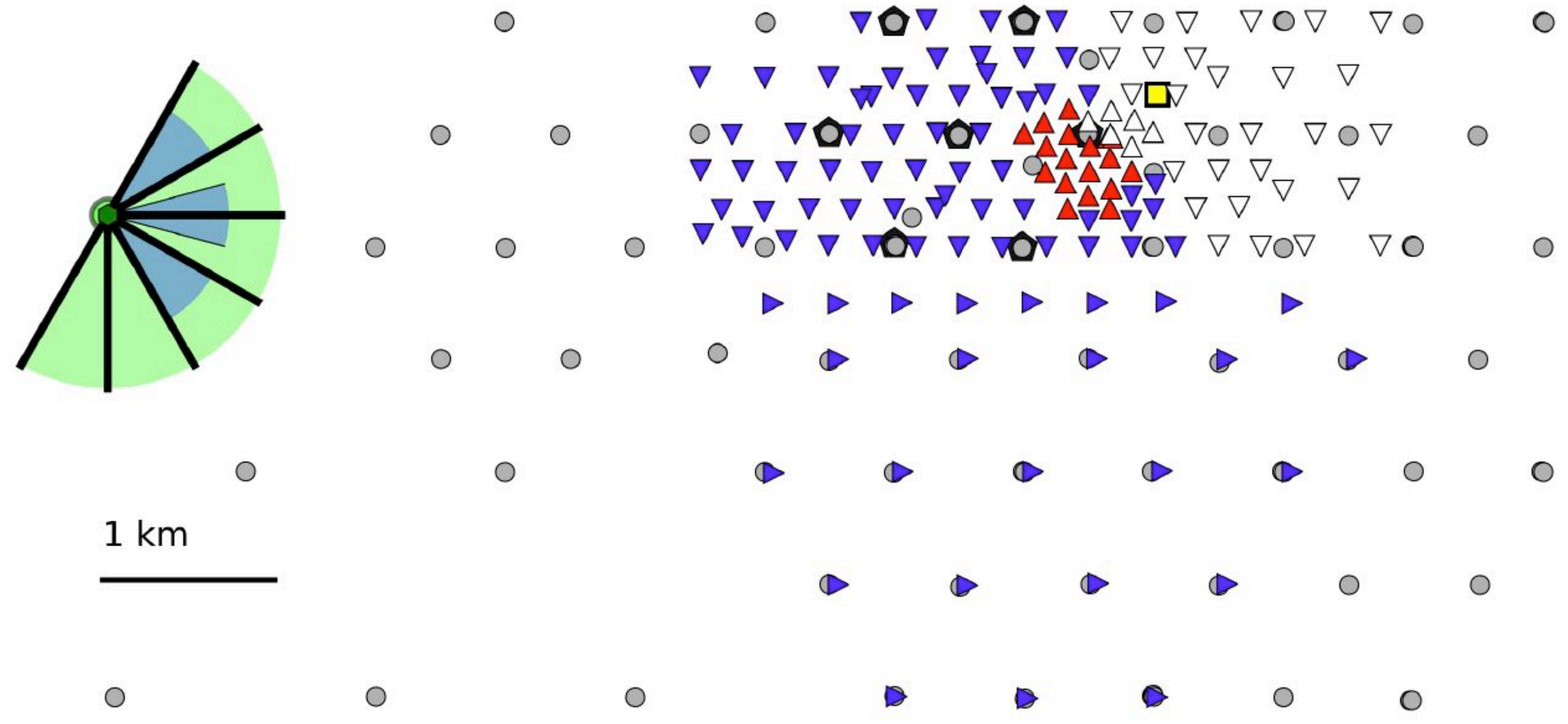
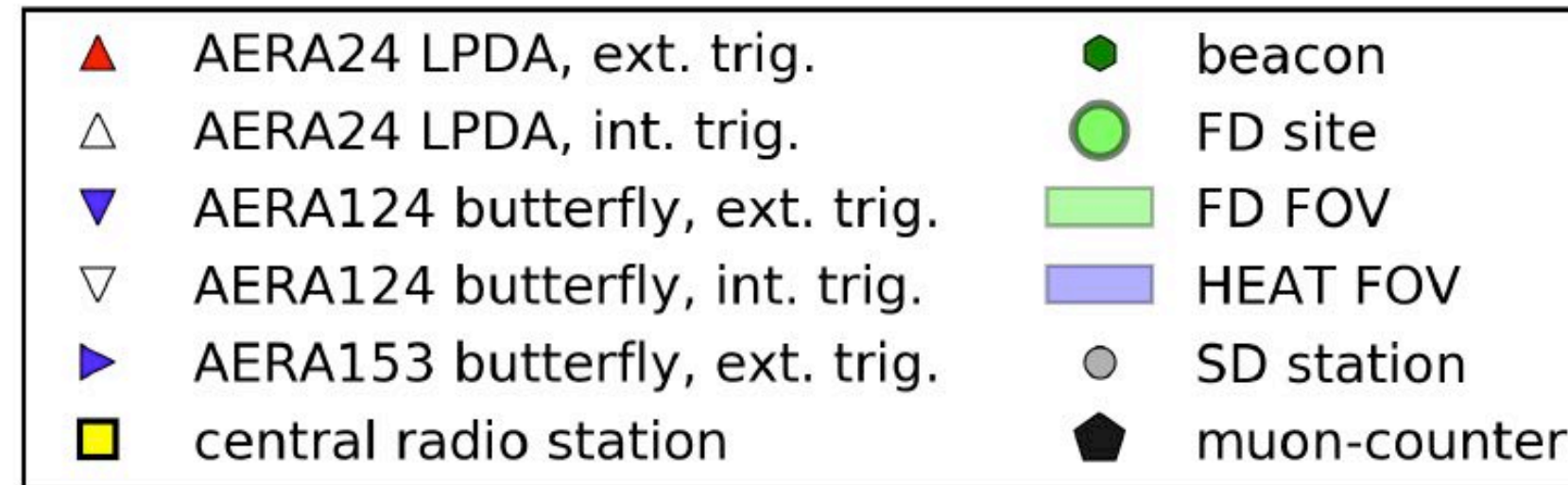
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# Where?

## Auger Engineering Radio Array (AERA)

2011: 24 stations, 0.4 km<sup>2</sup> →

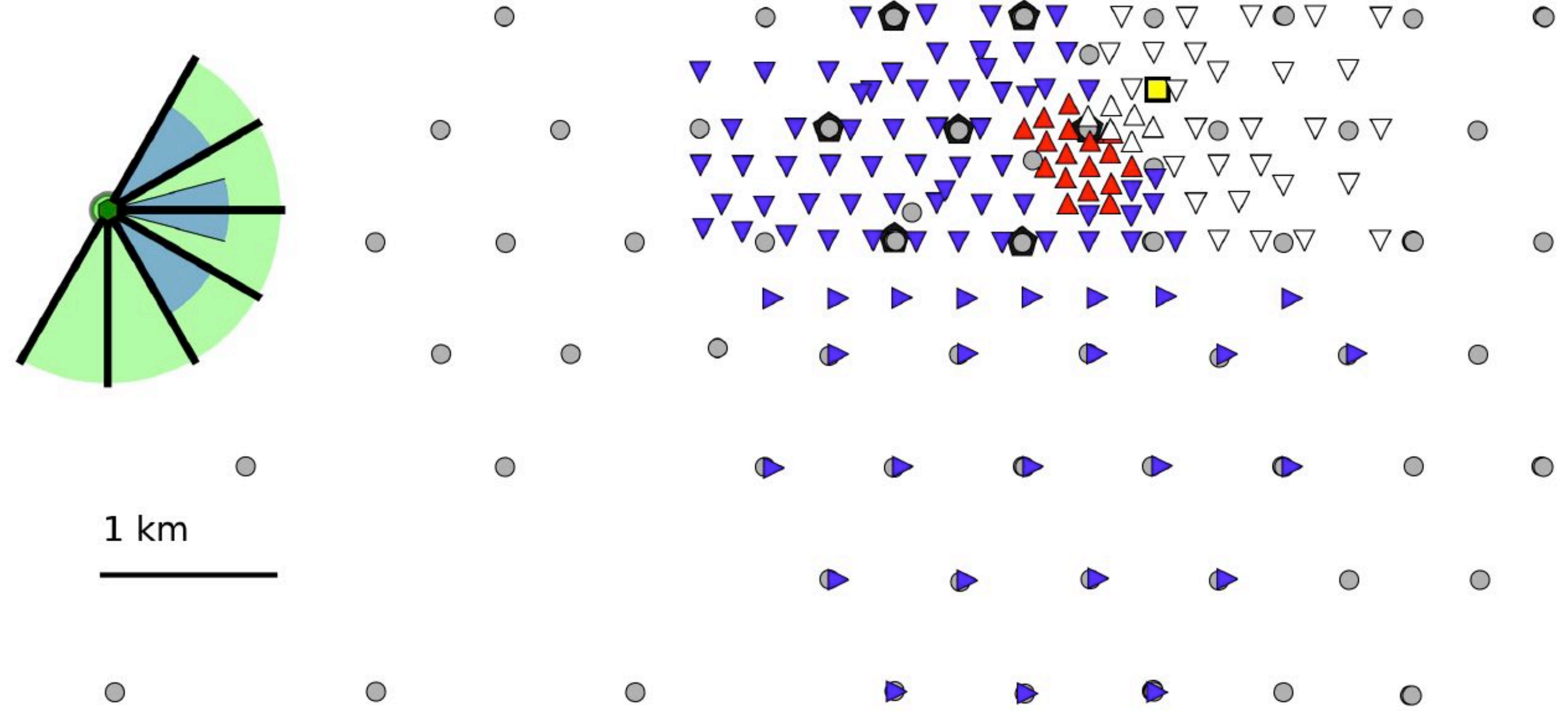
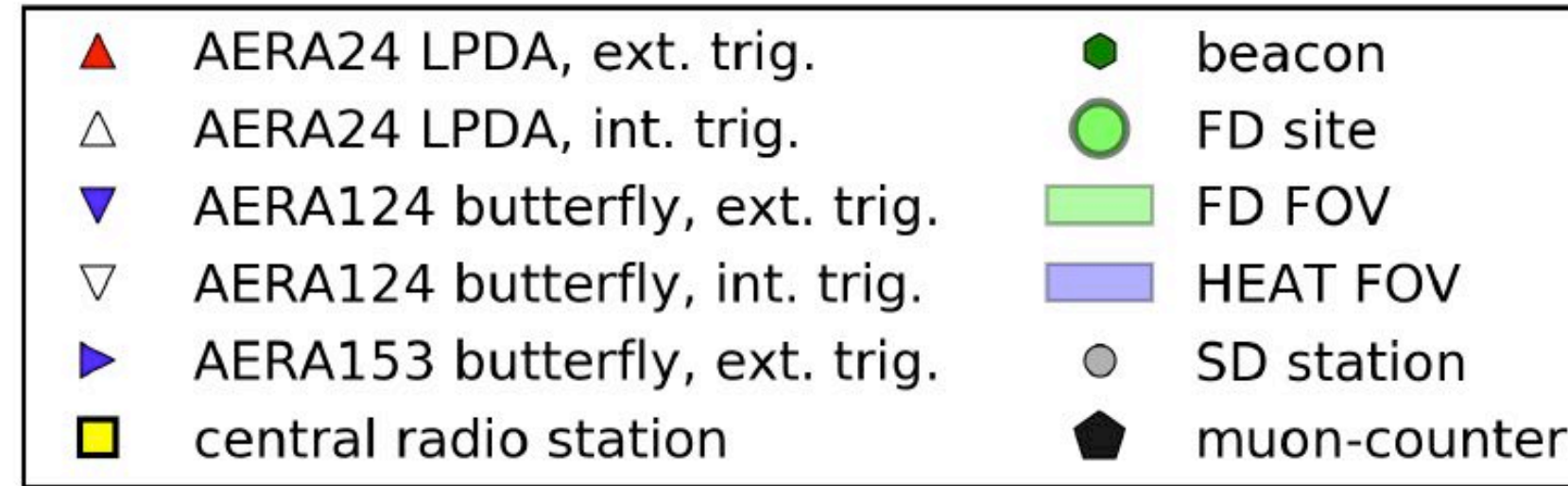


# Where?

## Auger Engineering Radio Array (AERA)

2011: 24 stations, 0.4 km<sup>2</sup>

2013: 124 stations, 6 km<sup>2</sup>



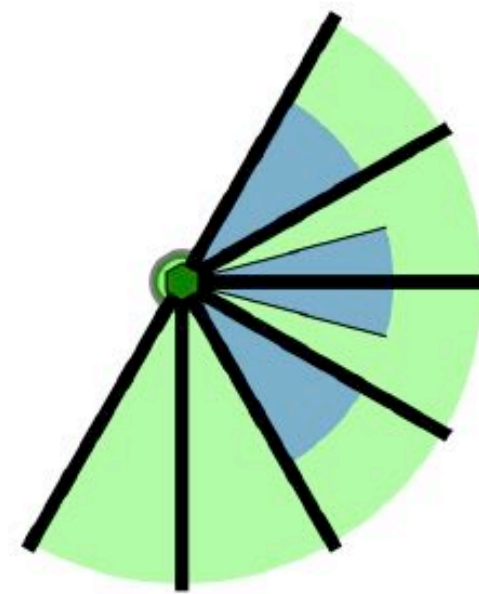
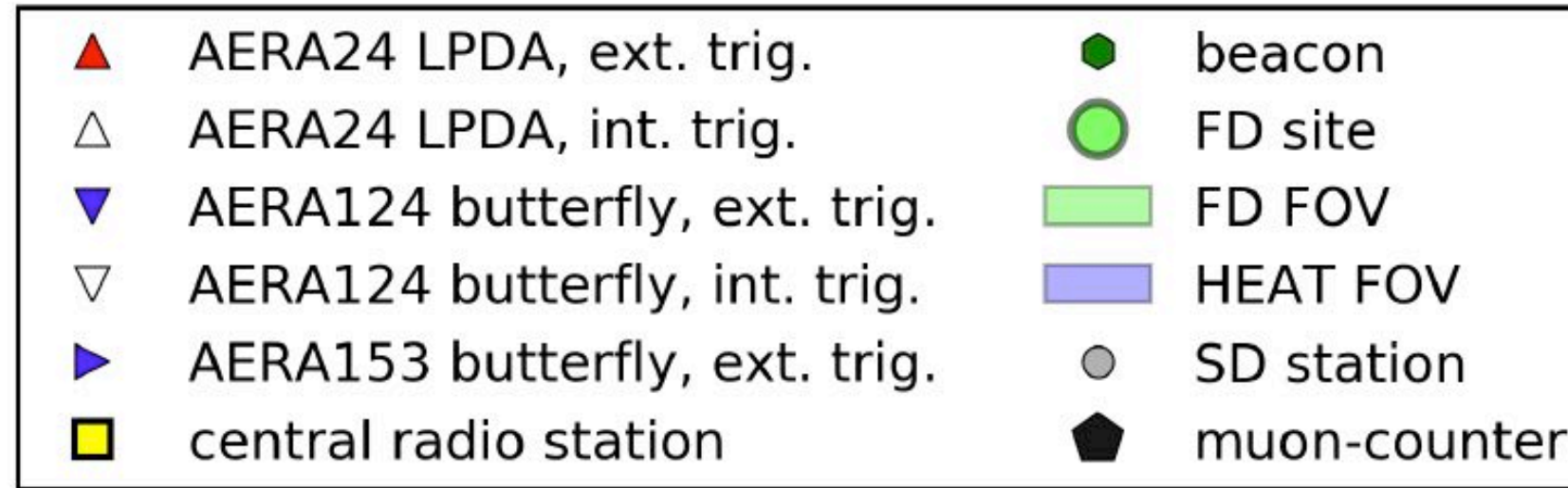
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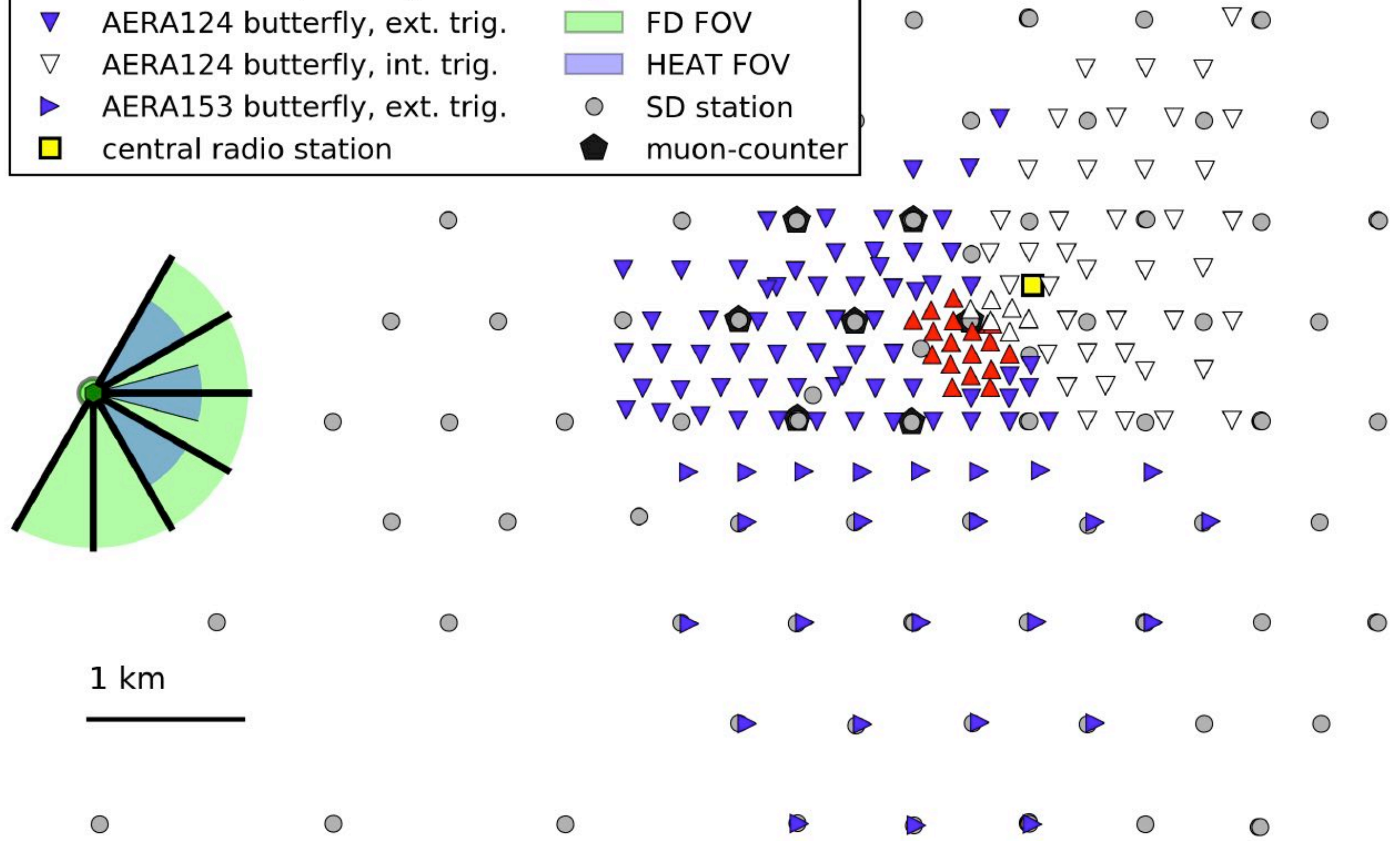
2011: 24 stations, 0.4 km<sup>2</sup> →

2013: 124 stations, 6 km<sup>2</sup> →

2015: 153 stations, 17 km<sup>2</sup> →



1 km



# How?

wifi for communication (central DAQ, remote computers)

GPS antenna for timing accuracy

electronics + local DAQ: self-trigger, external trigger, monitoring...

effective freq. range: 30-80 MHz  
sampling freq.: 180 MHz or 200 MHz  
EW and NS polarizations



antenna+amplifier (LPDA, Butterfly)

solar panel



# How?

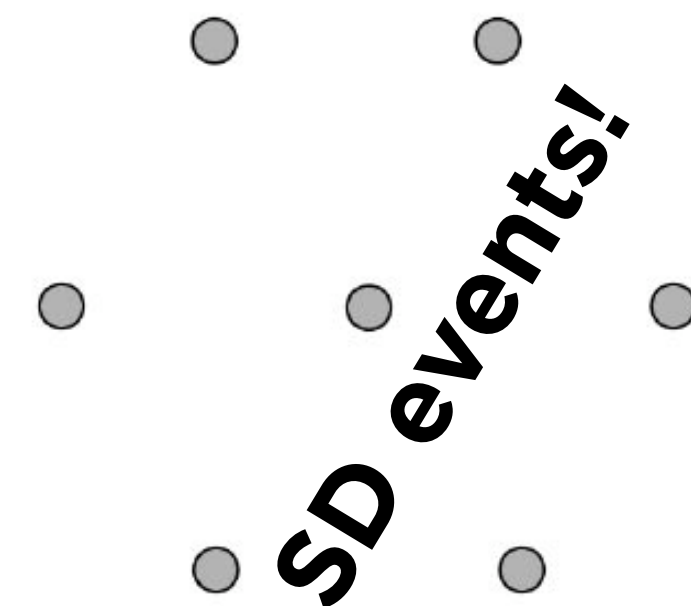
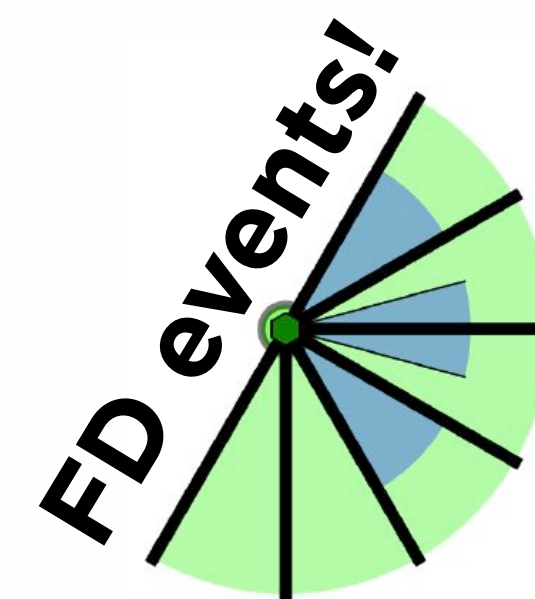
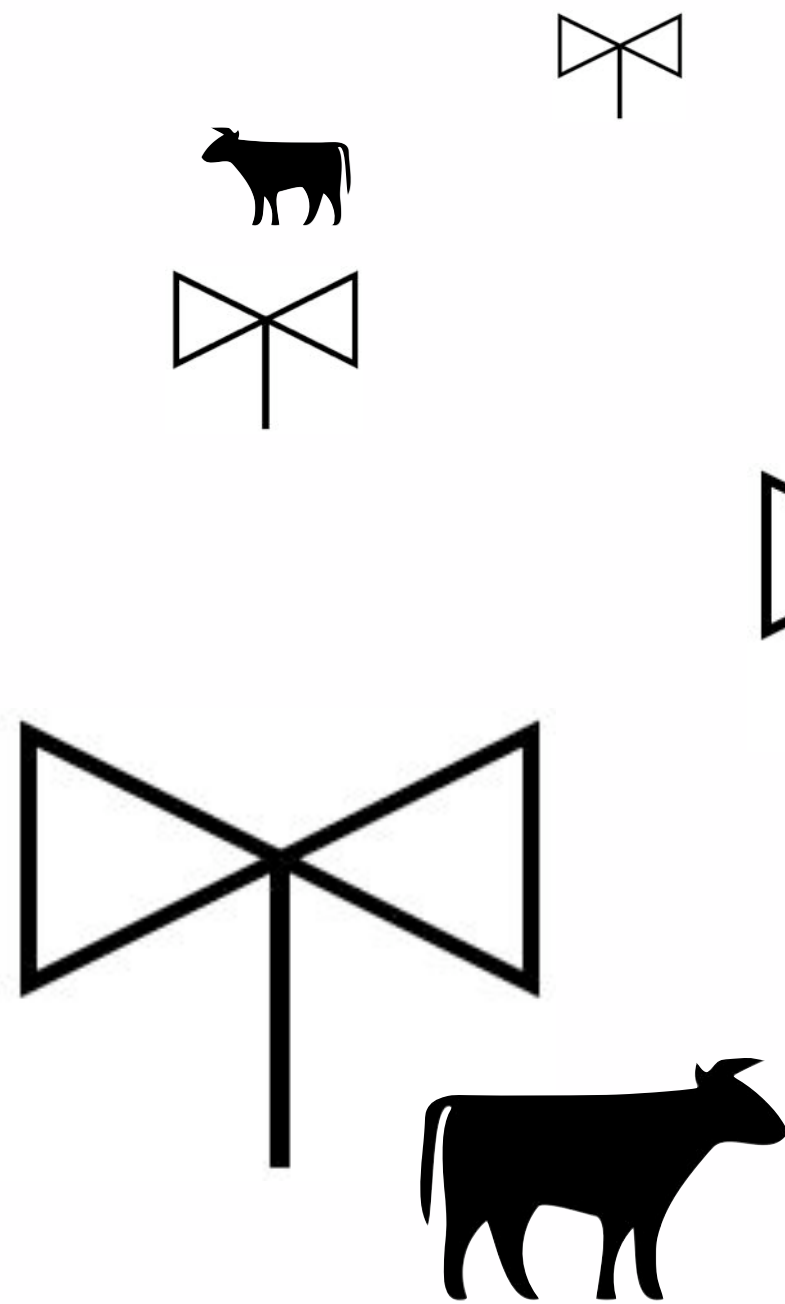


central DAQ:

- gets timestamps from stations
- computes coincidences
- asks for raw data (self trigger)

+

- gets trigger information from SD and FD
- asks for raw data (external trigger)



# Why?

## Shower physics

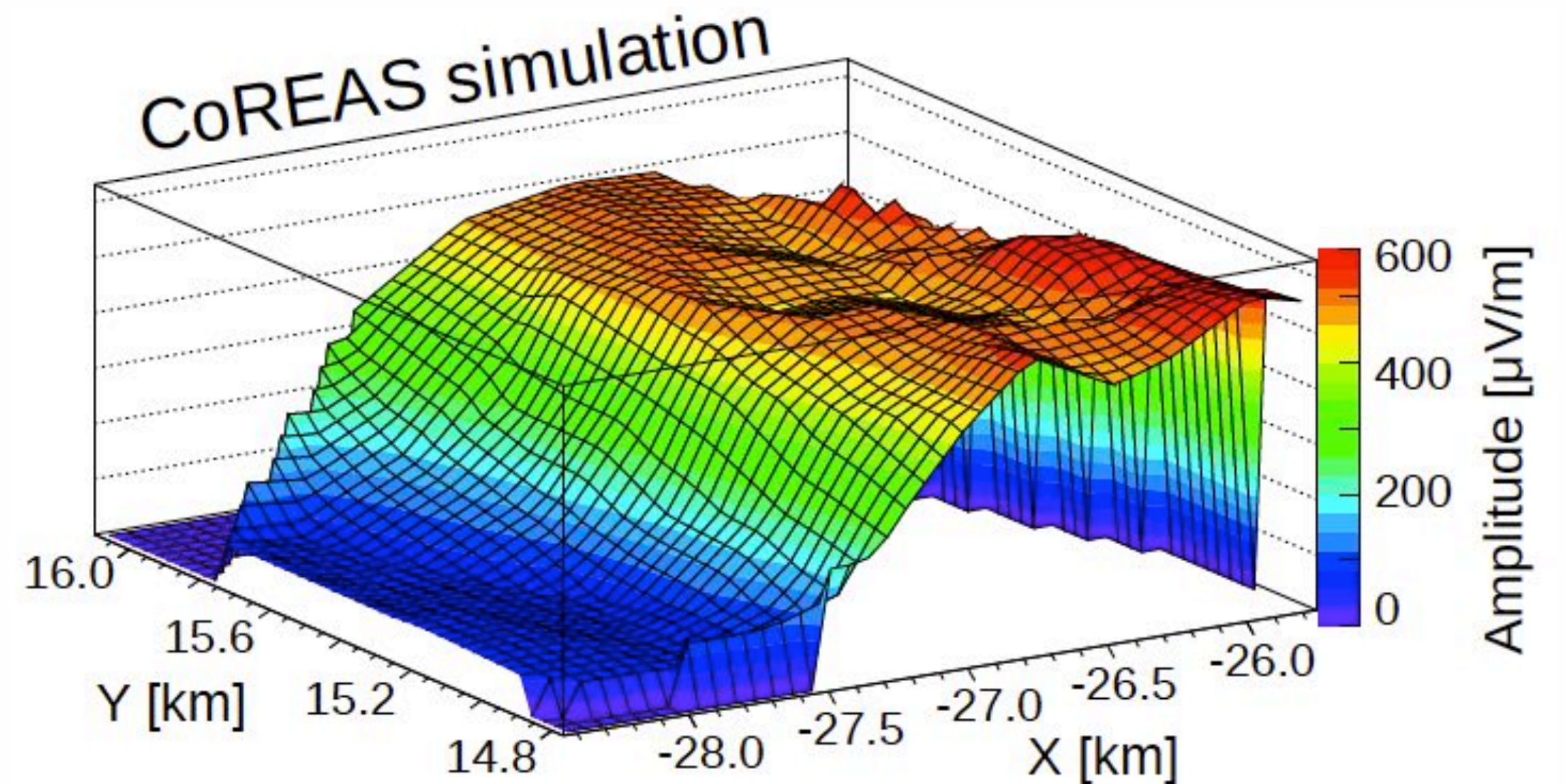
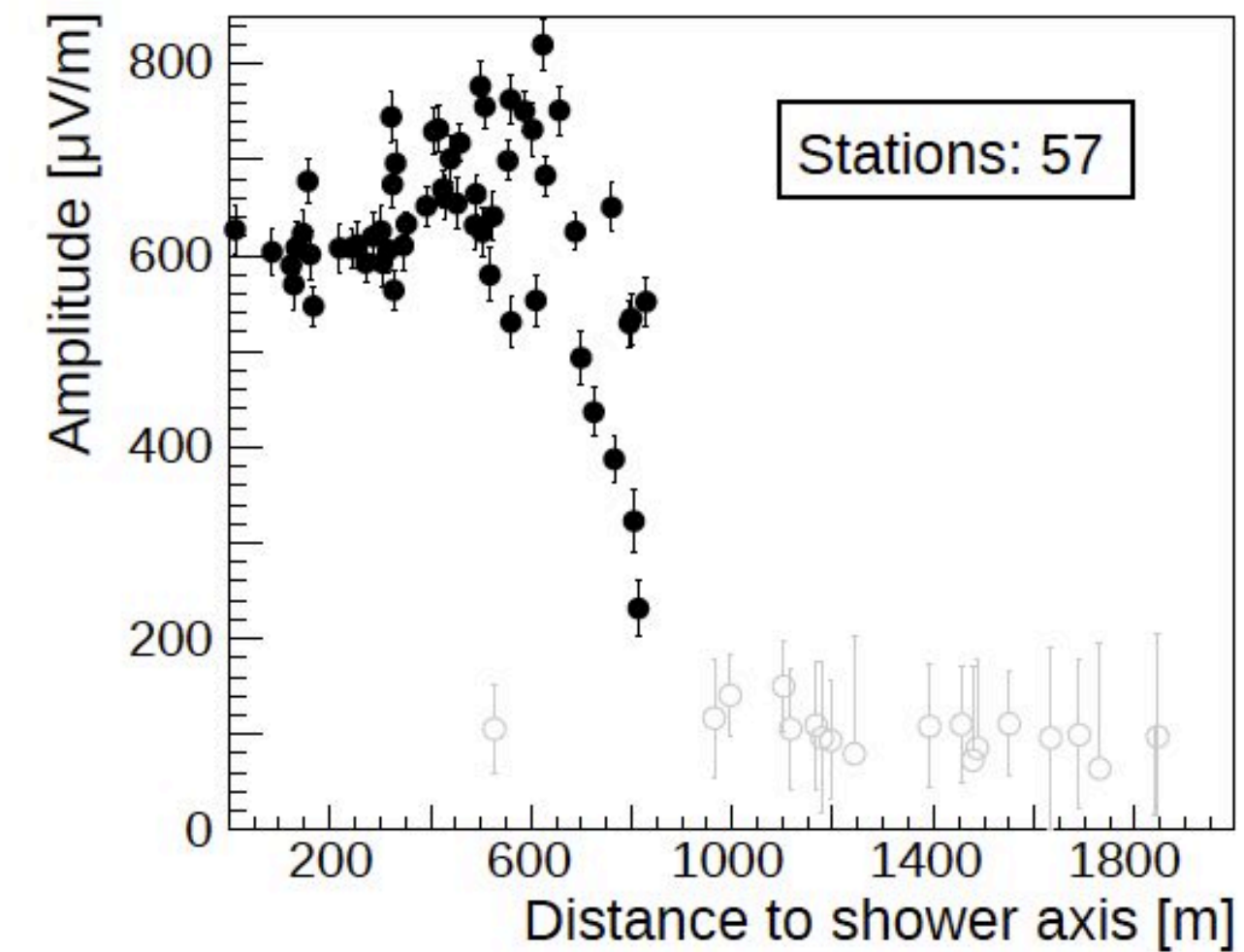
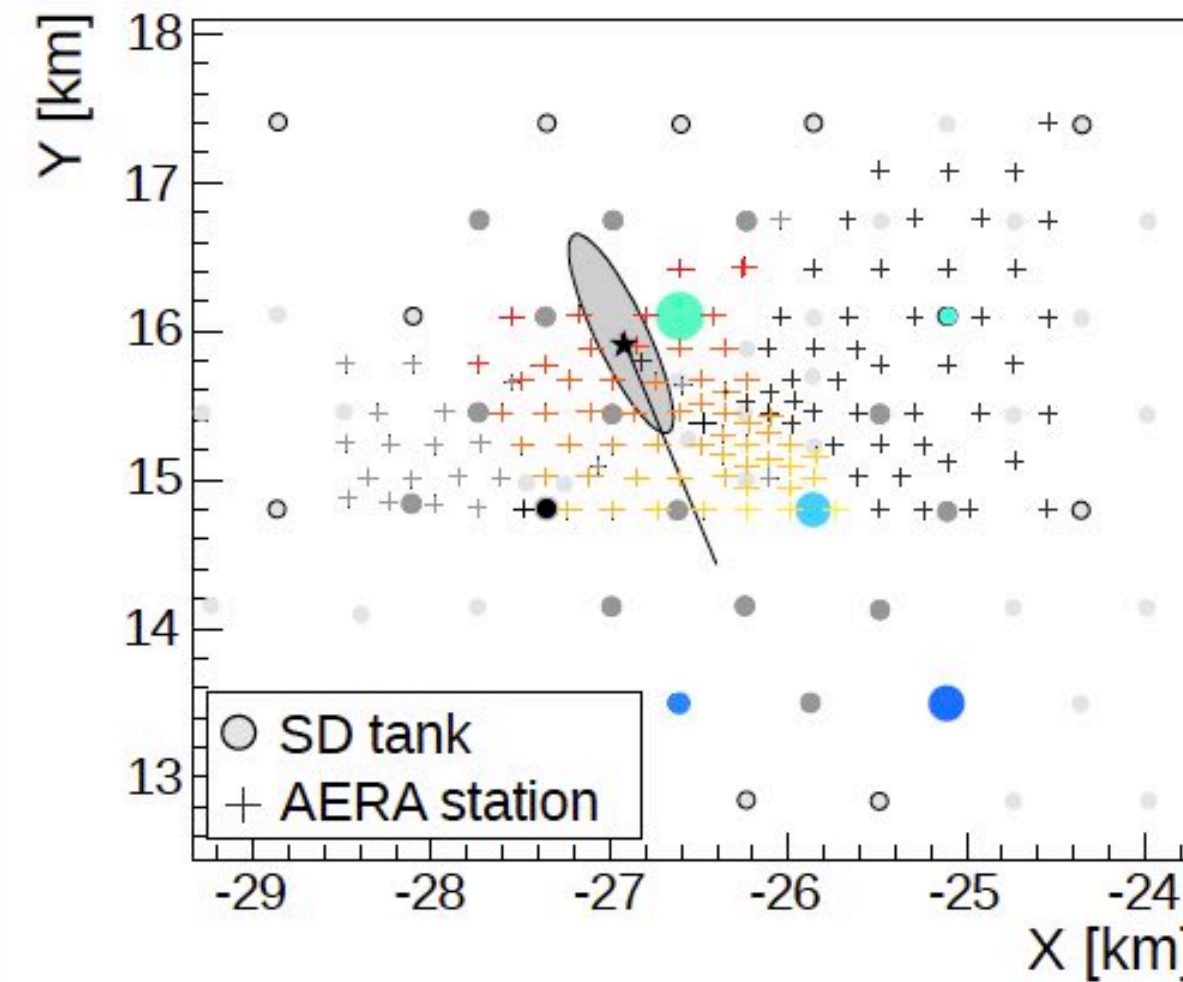
- fine details of the electric field emission mechanisms
- $e^+/e^-$  and muons distributions

## Cosmic ray physics above 1 EeV

- calorimetric energy measurement (and spectrum)
- energy scale of Auger (FD)
- composition through  $X_{\max}$  with  $\sim 100\%$  duty cycle, in particular in the transition region
- inclined showers (large acceptance)

## Geophysics

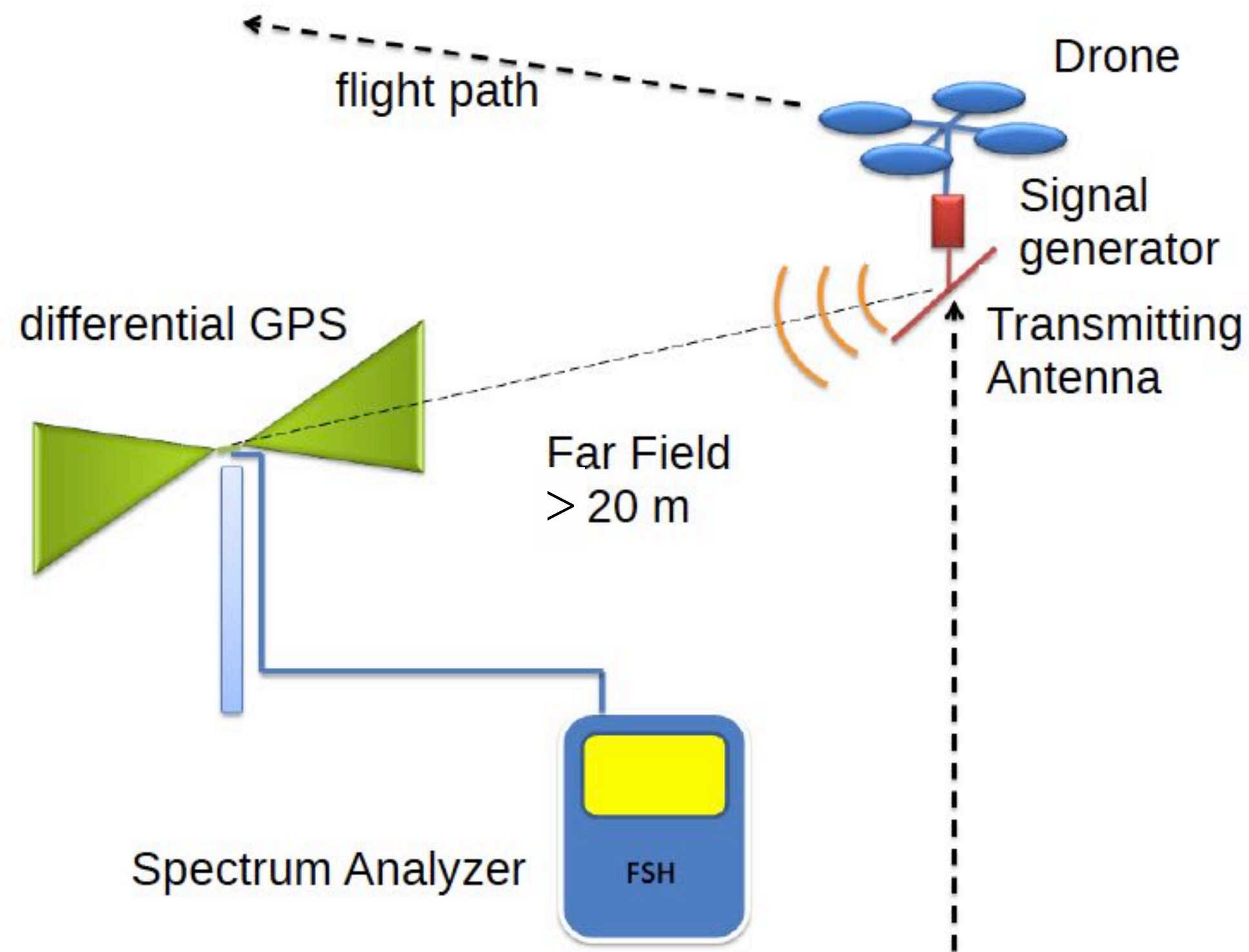
- study of atmospheric electric fields
- lightning/CR correlation



# I. Understanding the detector

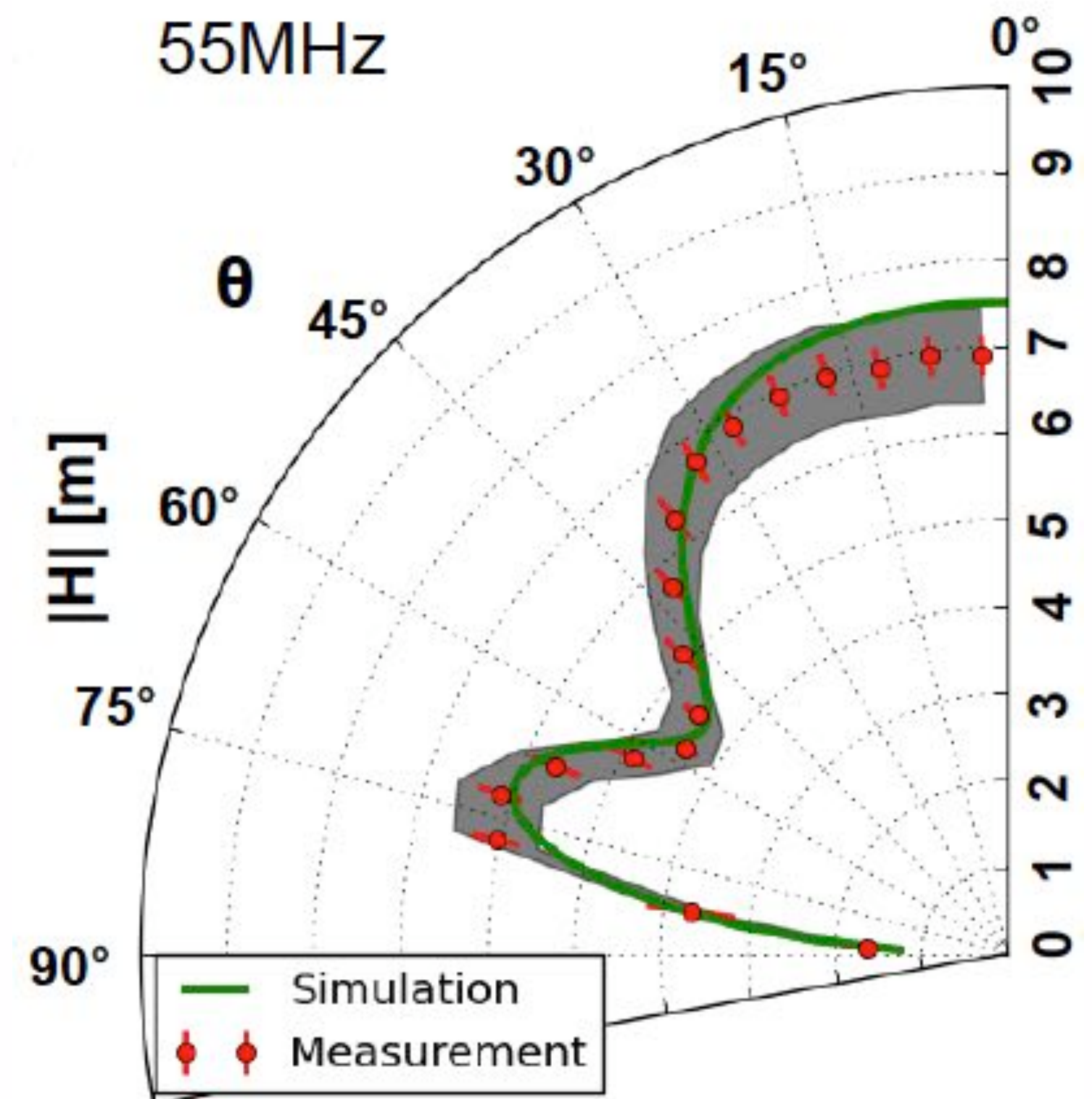
# Amplitude calibration

direct calibration using a pulser on a drone



vector effective length:

$$V = \vec{H}(f, \theta, \phi) \cdot \vec{E}(f)$$



overall uncertainty: **14%** (antenna response+full electronics chain)

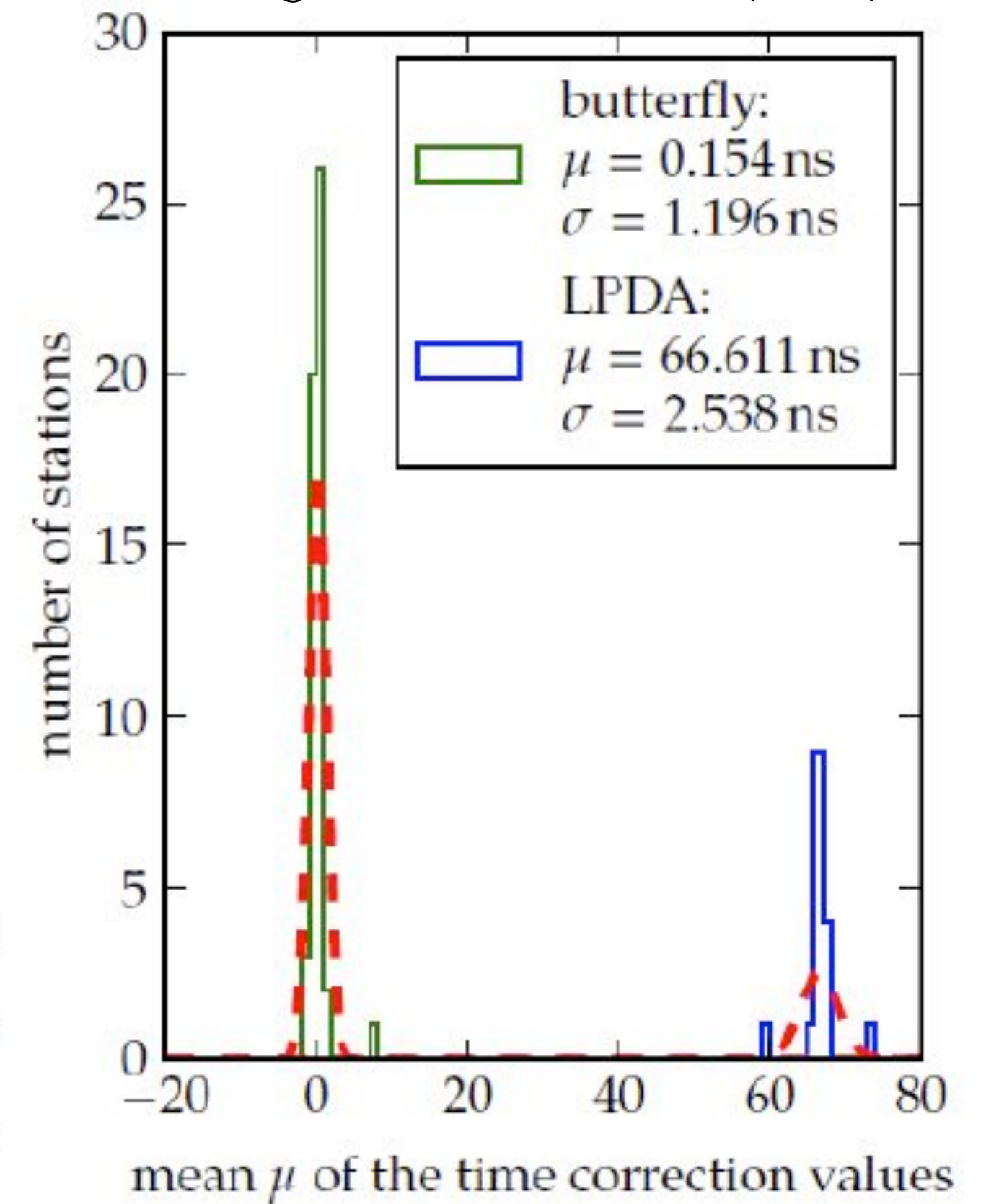
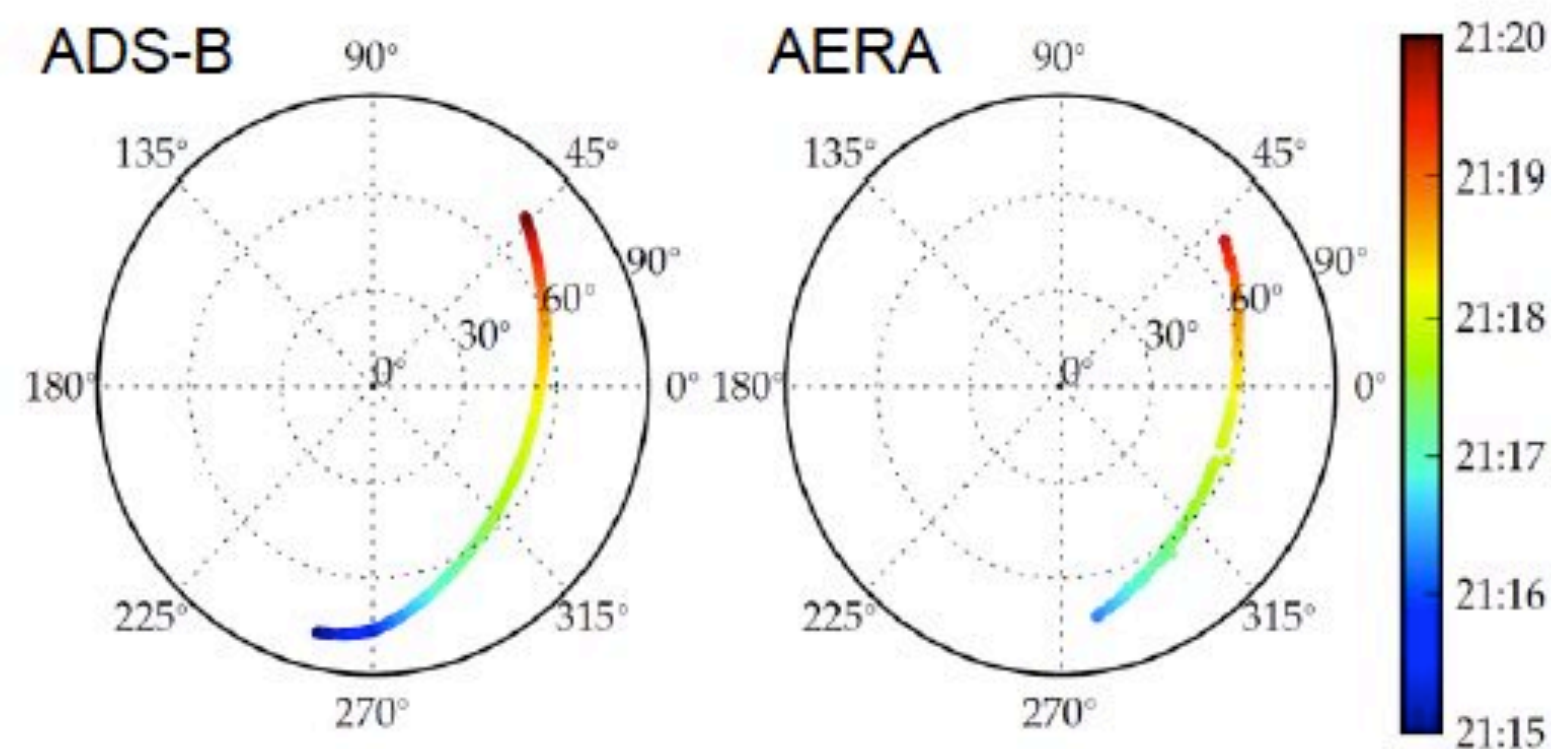
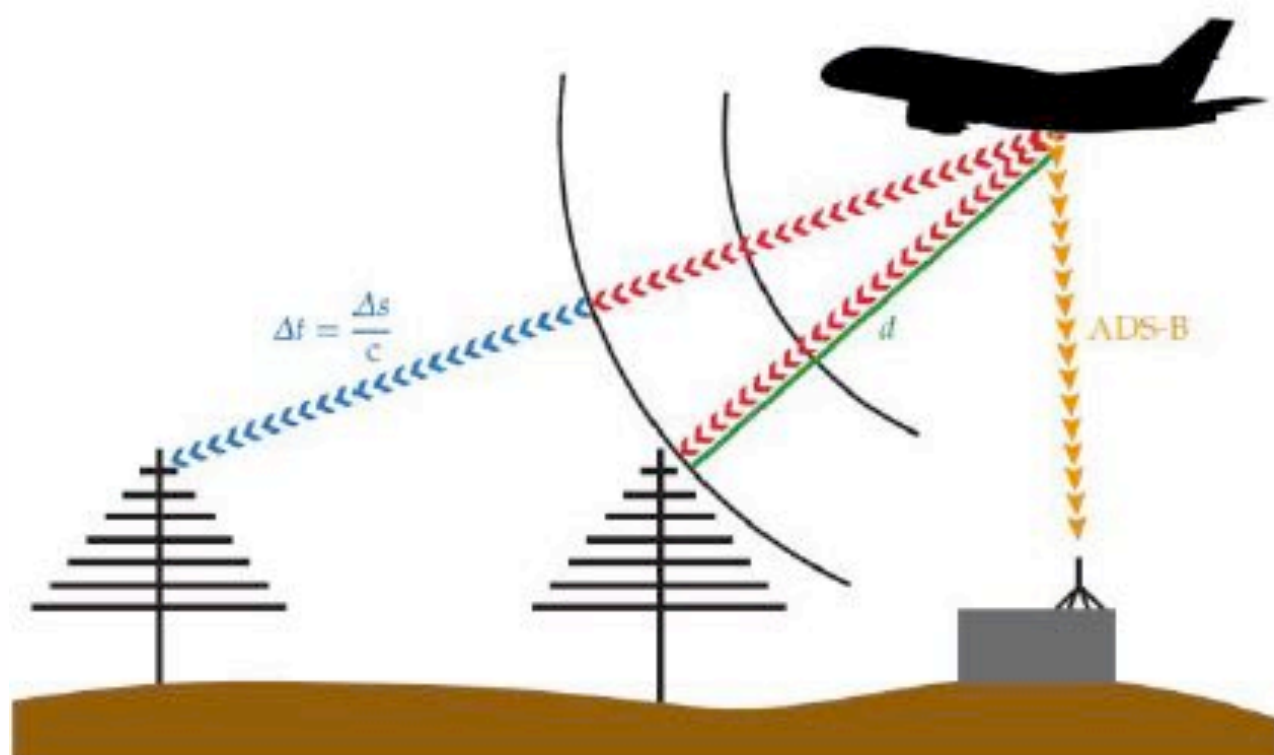
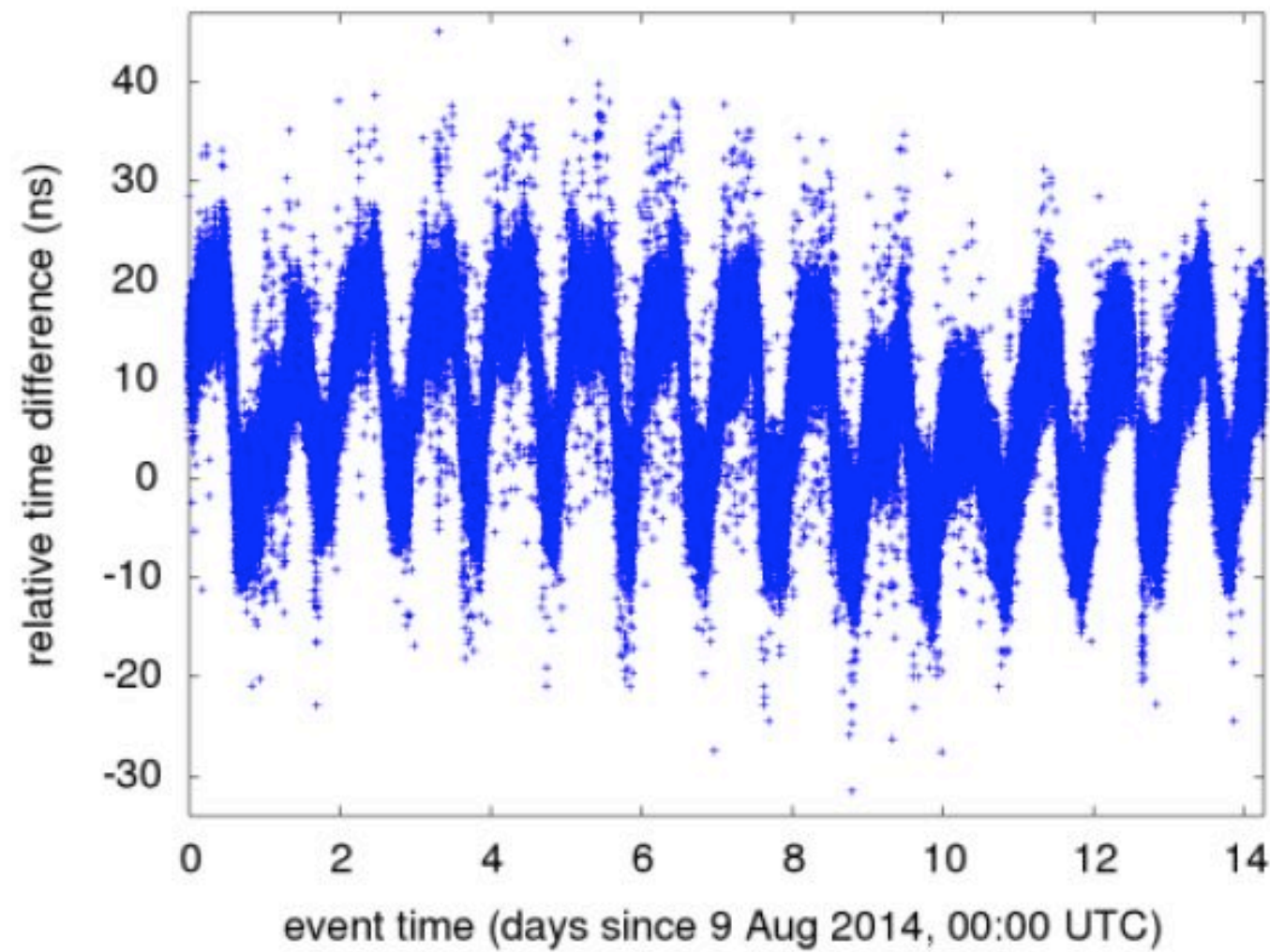
# Time calibration

correct for GPS drifts by comparing time differences between two stations using a distant beacon and airplane transmits over AERA

Auger collab. JINST 11 (2016) P01018

**time accuracy around 30 ns!**

## GPS time drift over 2 weeks



overall uncertainty: 2 ns

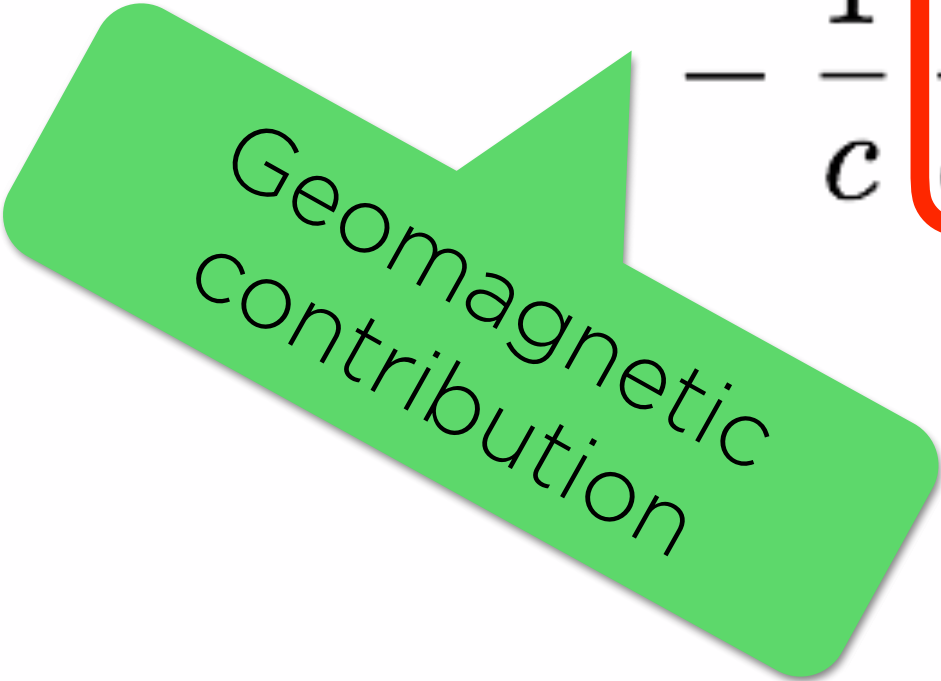
## II. Understanding the source of the signal

# Emission mechanism

Geomagnetic contribution

$$-\frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1}^N \frac{q_i \vec{\beta}_i}{R_i (1 - \eta \vec{\beta}_i \cdot \vec{n}_i)}$$

# Emission mechanism


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$$\vec{E}_{\text{geo}} \propto \vec{\beta} \times \vec{B}$$

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from **measurements** of the electric field in the EW and NS polarizations, we can compute the polar. angle:

$$\phi_{\text{mes}} = \arctan(E_{\text{NS}}/E_{\text{EW}})$$

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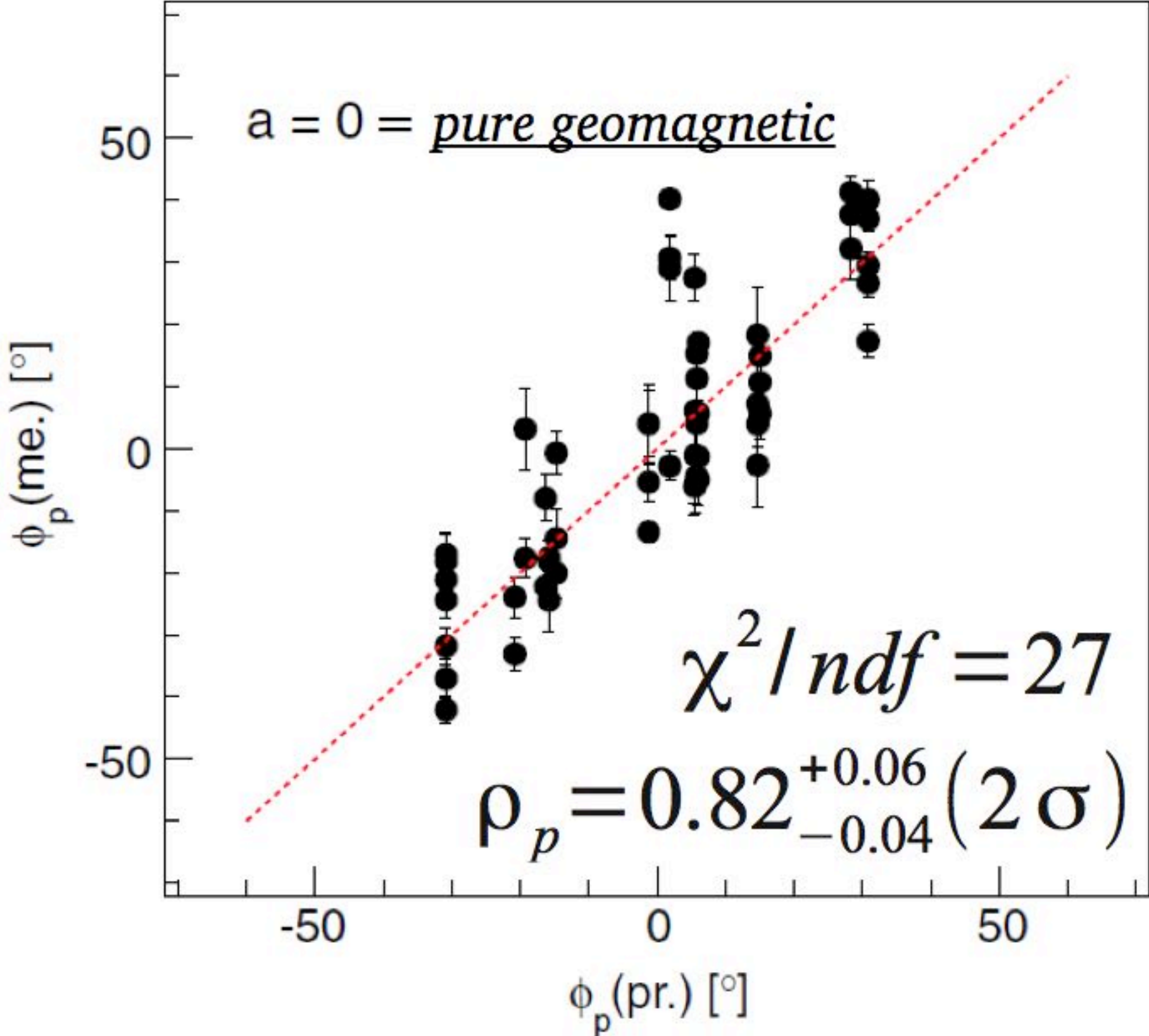
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AERA data



Auger collab., Phys. Rev. D 89, 052002 (2014)

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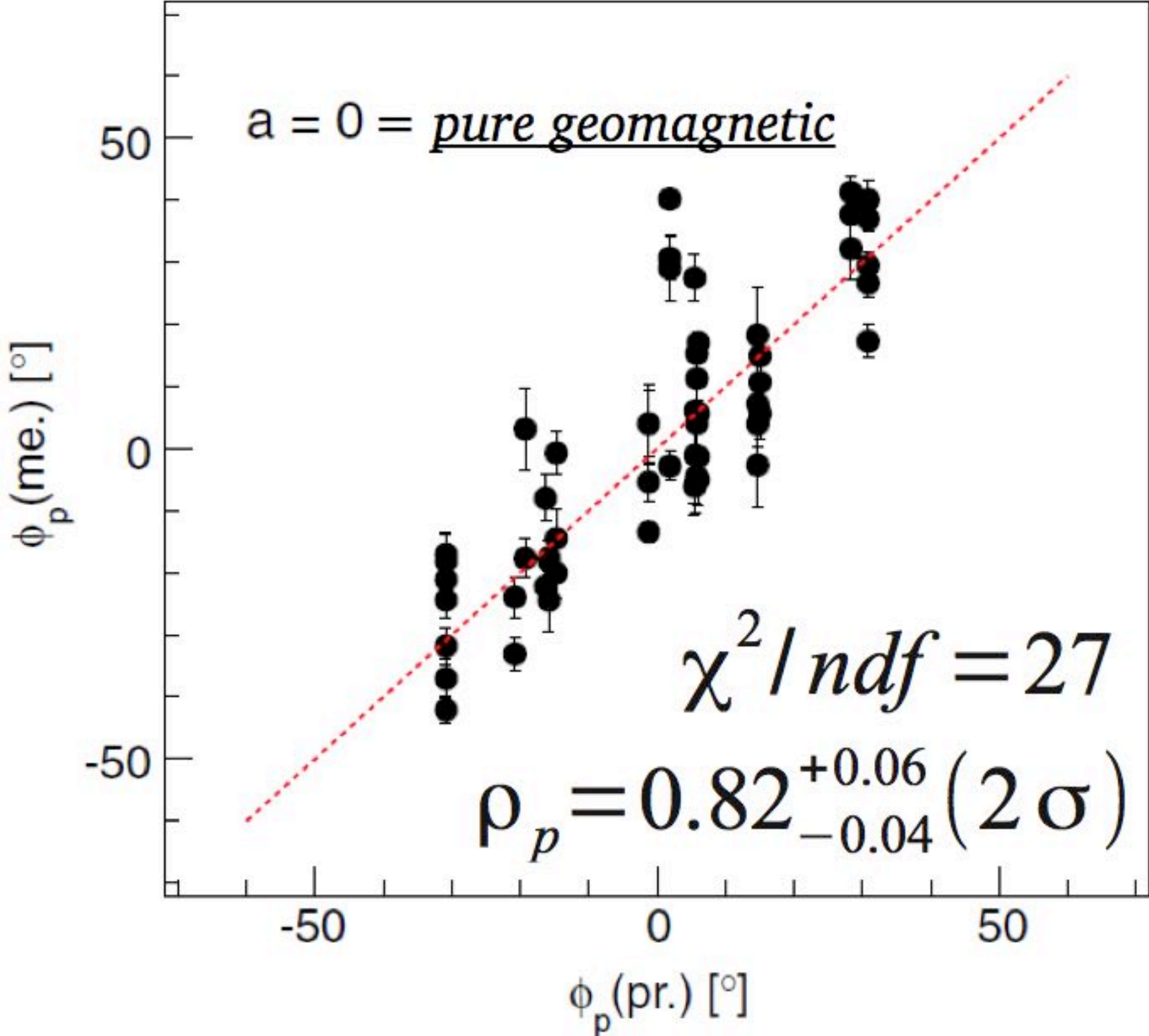
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**The geomagnetic mechanism is dominant!**

Auger collab., Phys. Rev. D 89, 052002 (2014)

# Emission mechanism

Charge excess contribution

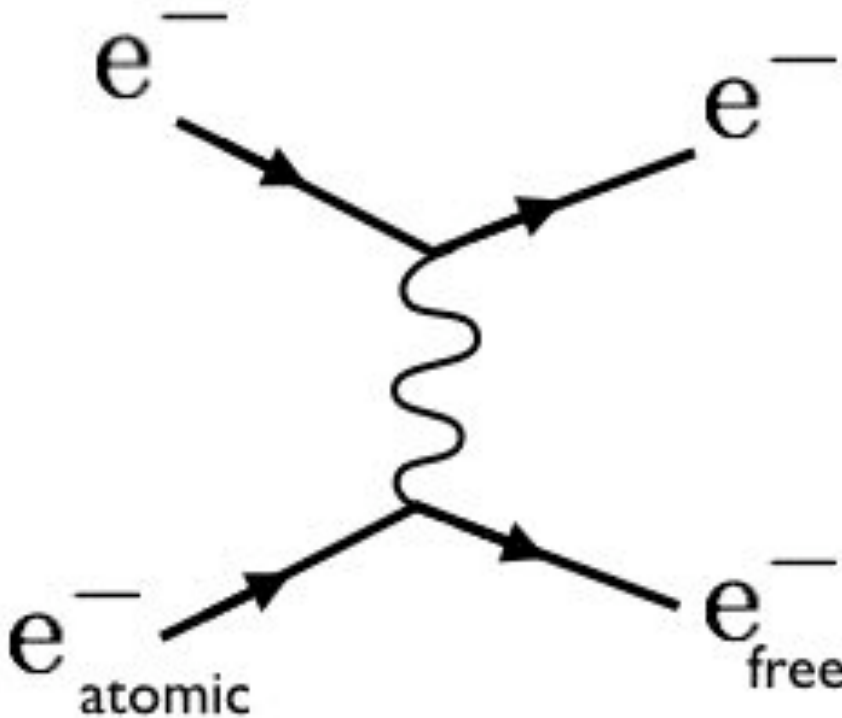
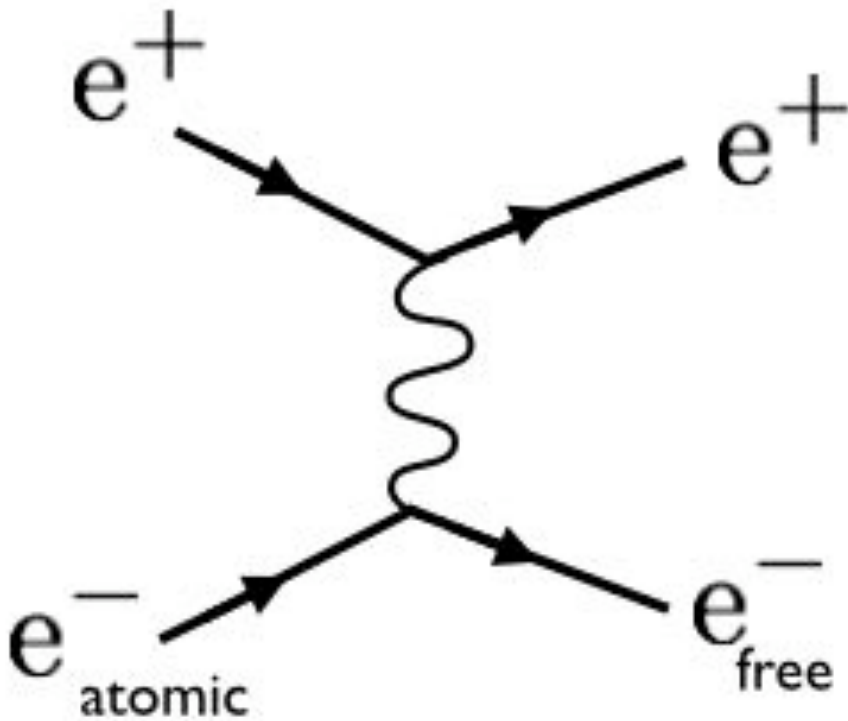
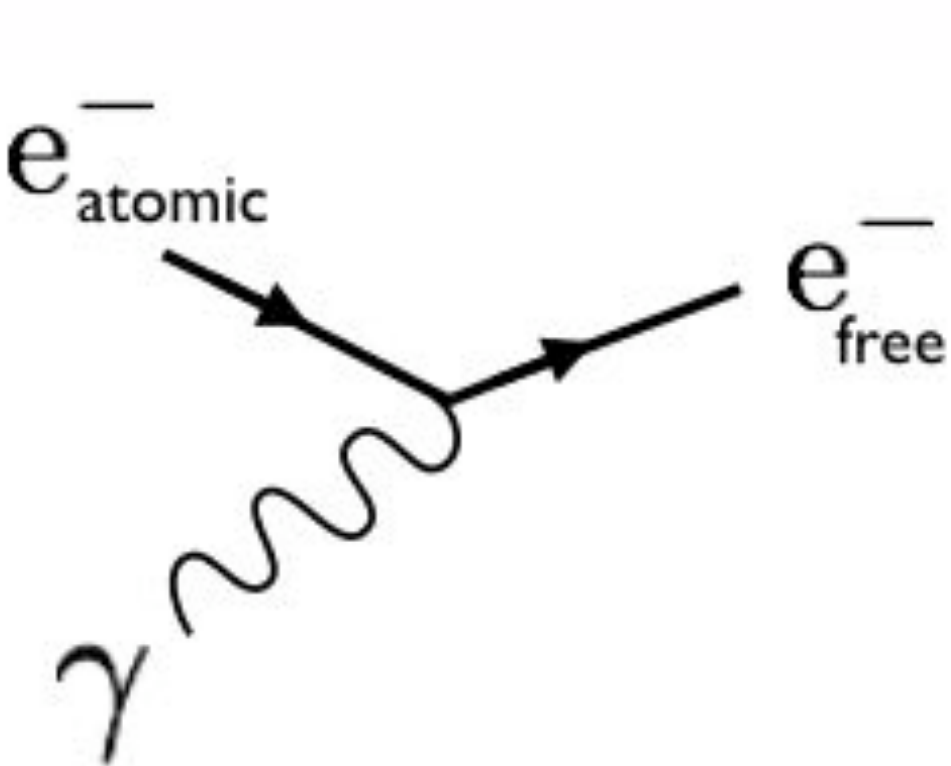
$$+ \frac{1}{c} \frac{\partial}{\partial t} \sum_{i=1}^N \frac{q_i \vec{n}_i}{R_i (1 - \eta \vec{\beta}_i \cdot \vec{n}_i)}$$

(Askaryan 1962, 1965)

No net electric field if  $n_{e^+} = n_{e^-}$

but  $n_{e^+} < n_{e^-}$  because:

- in flight  $e^+$  annihilation
- electrons are extracted from the medium (Compton, Bhabha, Moeller)



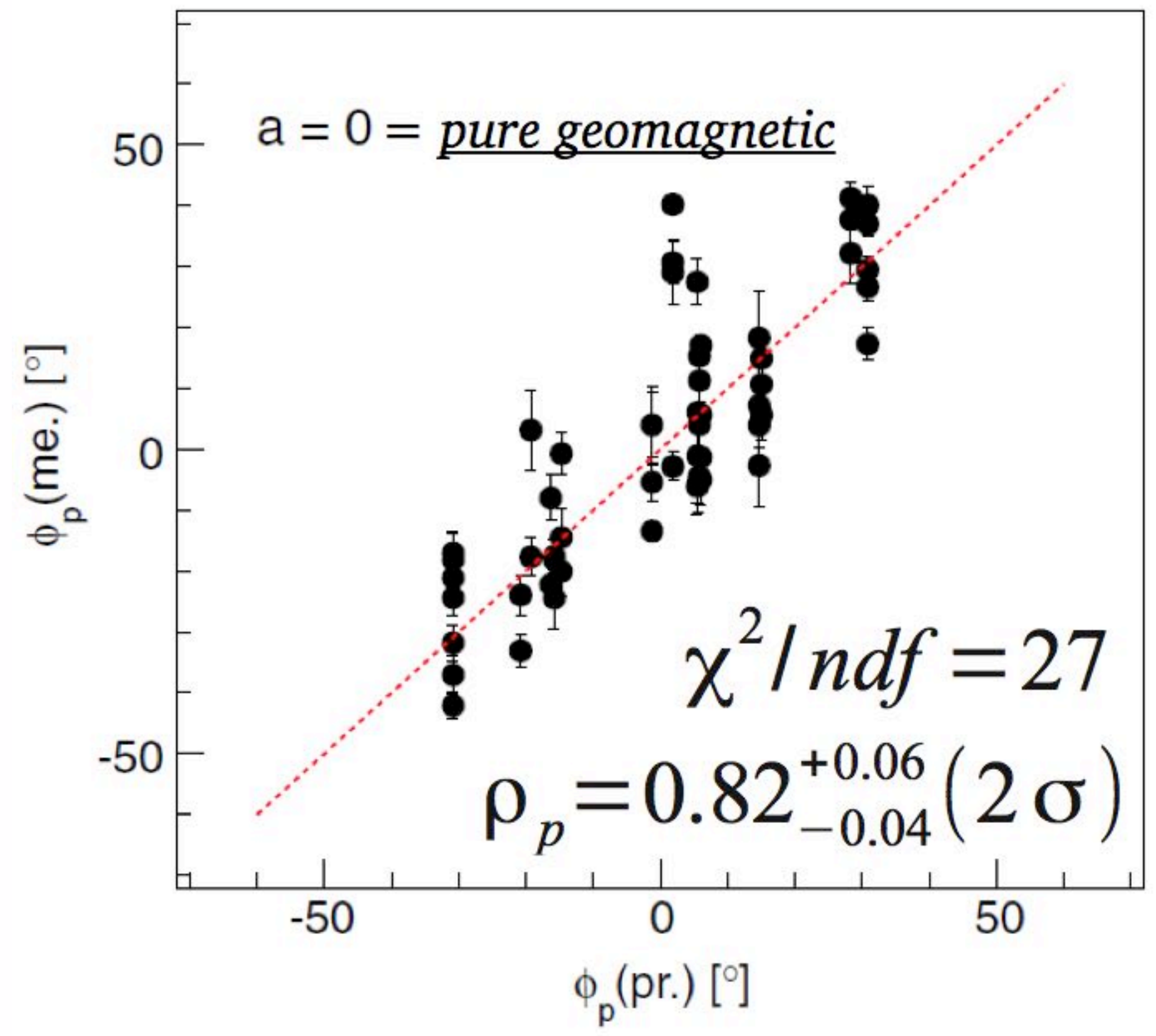
excess of electrons: net electric field, radial polarization pattern, depends on the observer's location

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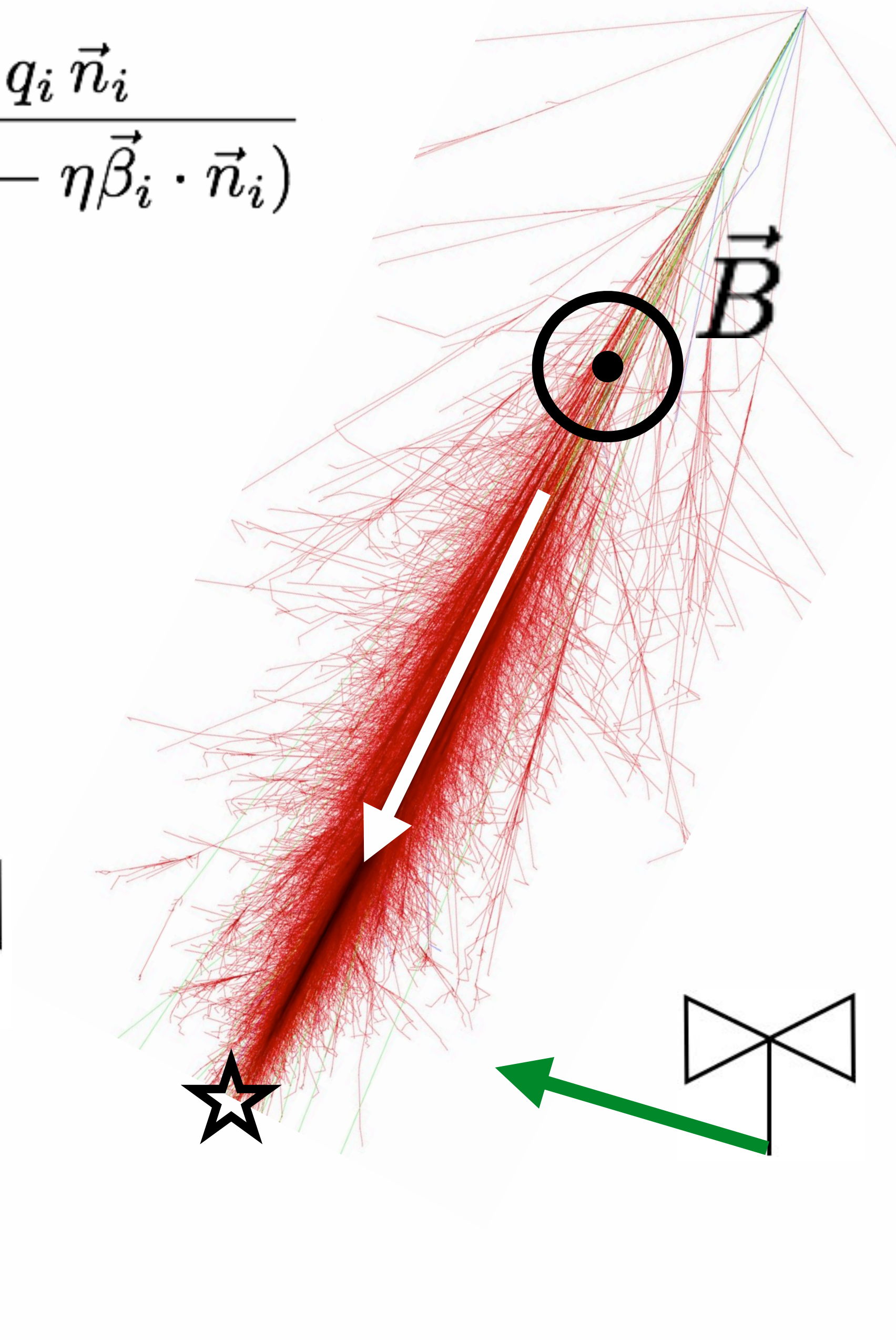
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AERA data



Auger collab., Phys. Rev. D 89, 052002 (2014)

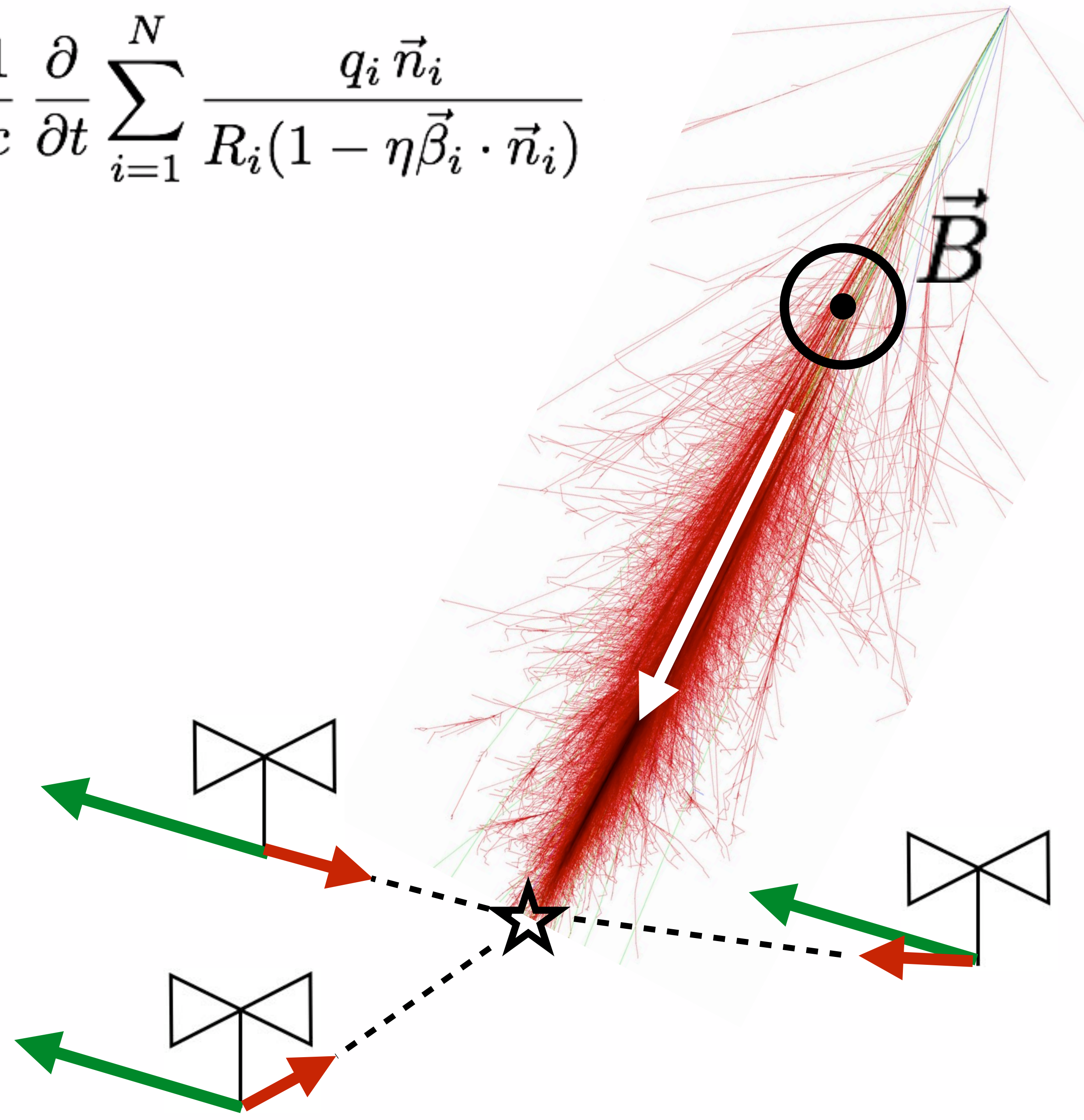
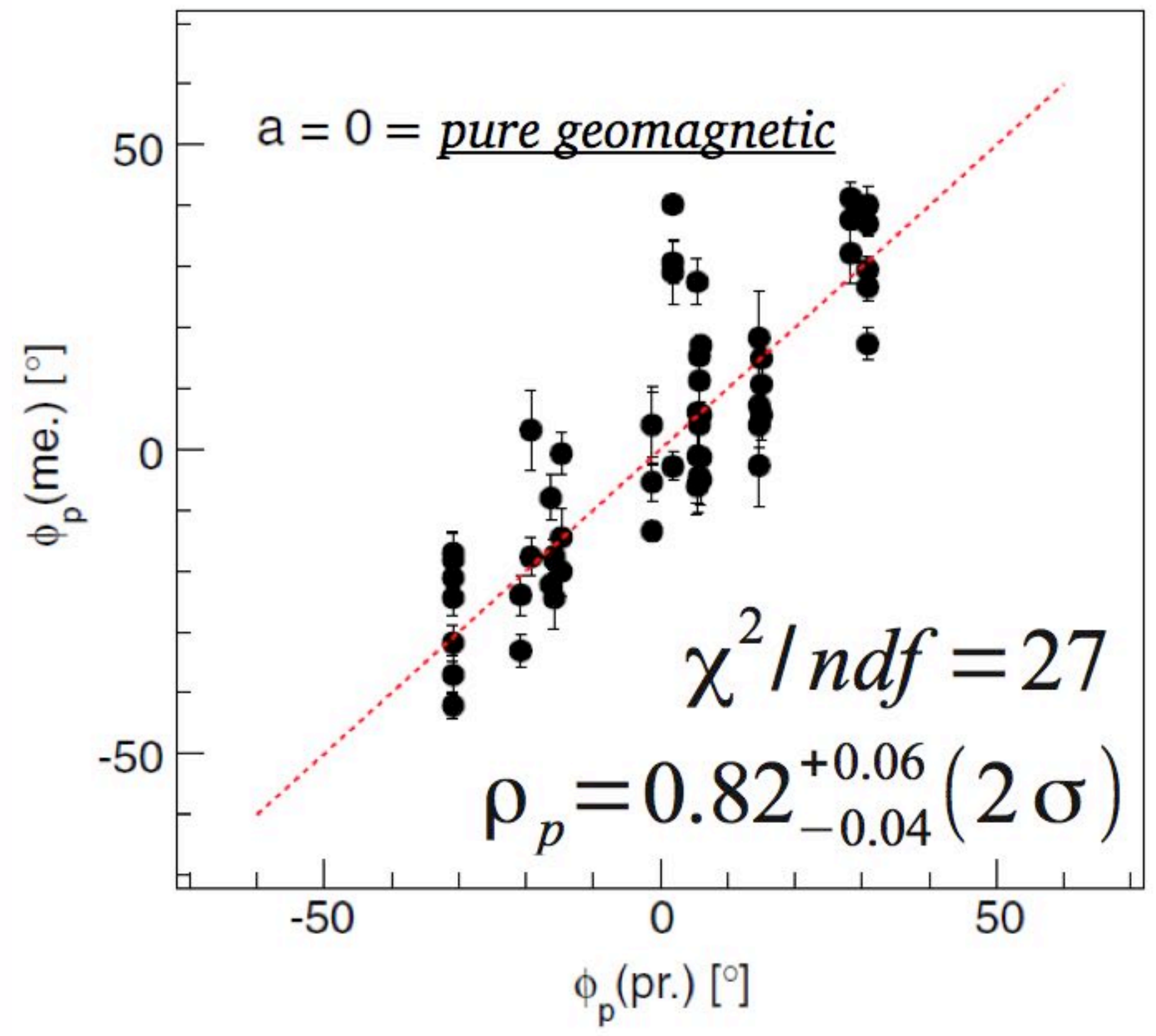


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Auger collab., Phys. Rev. D 89, 052002 (2014)

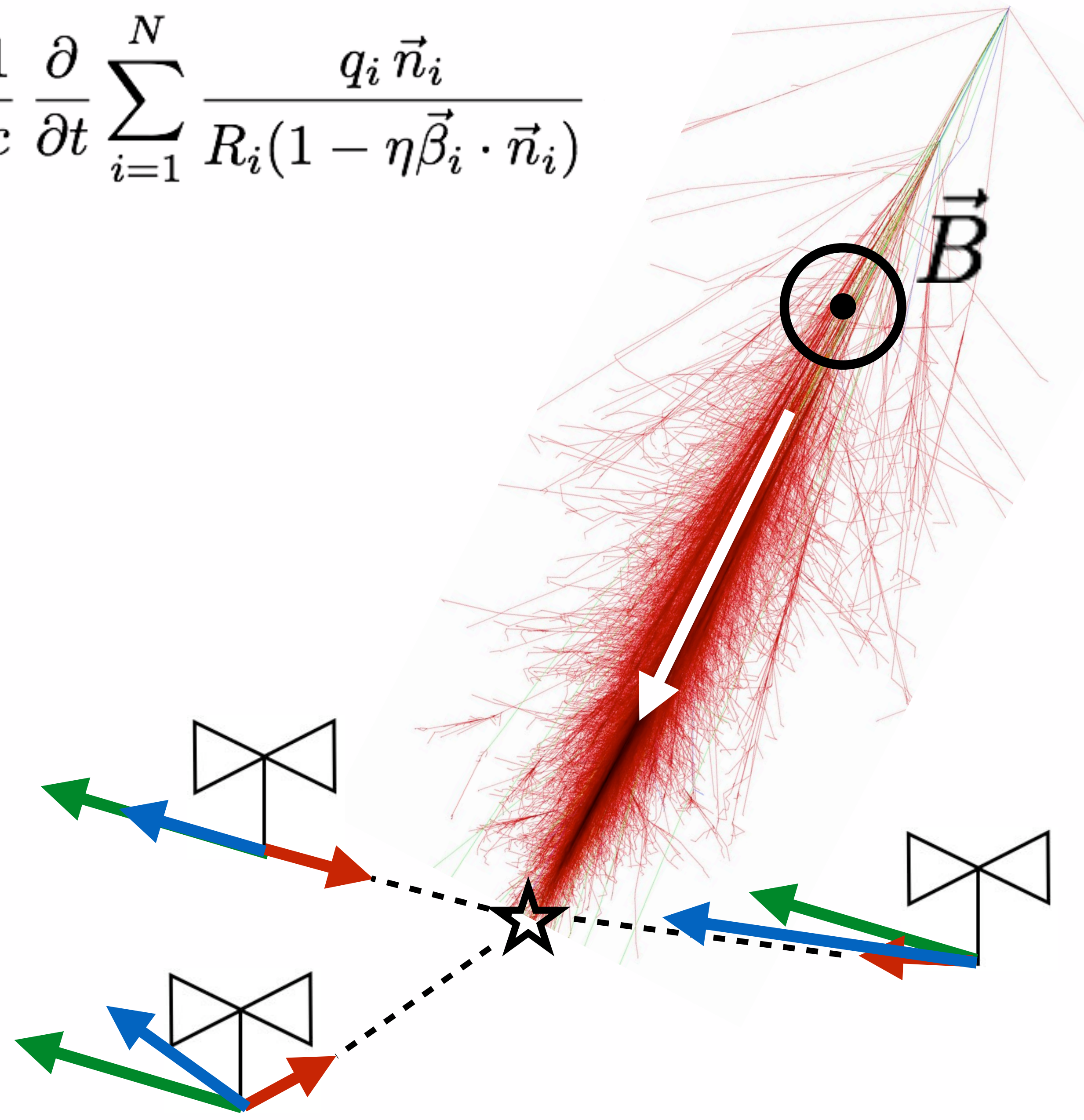
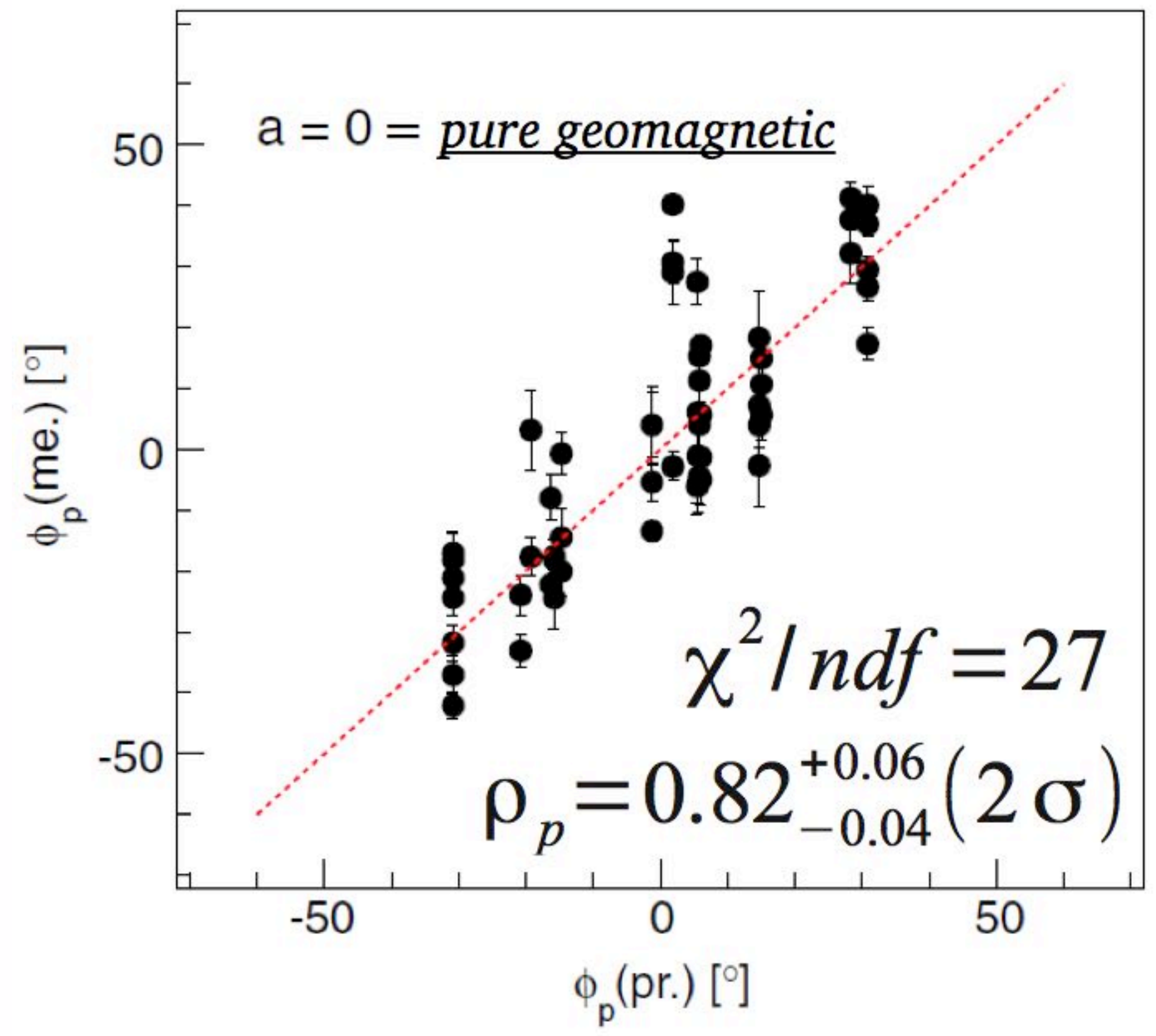


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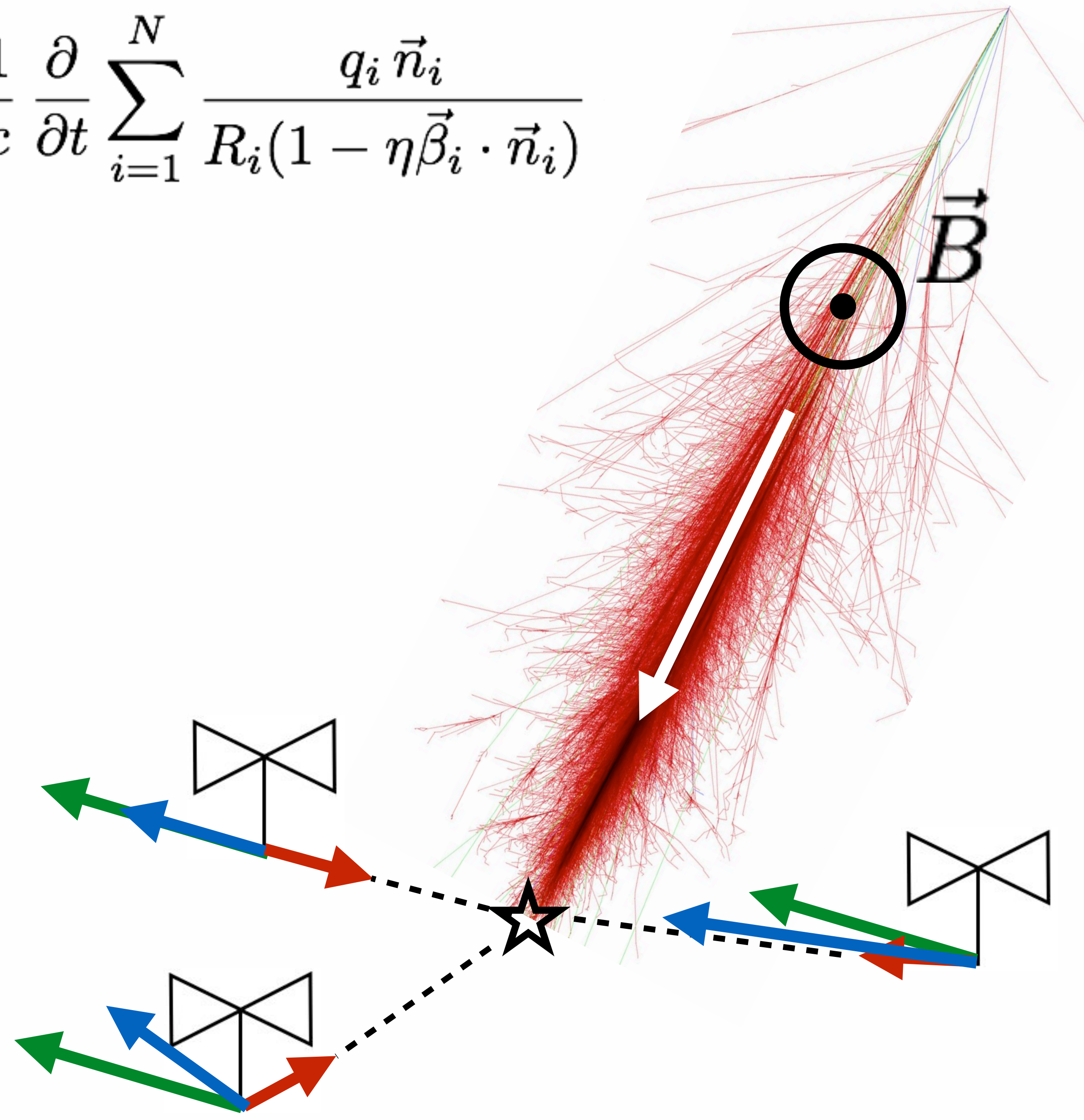
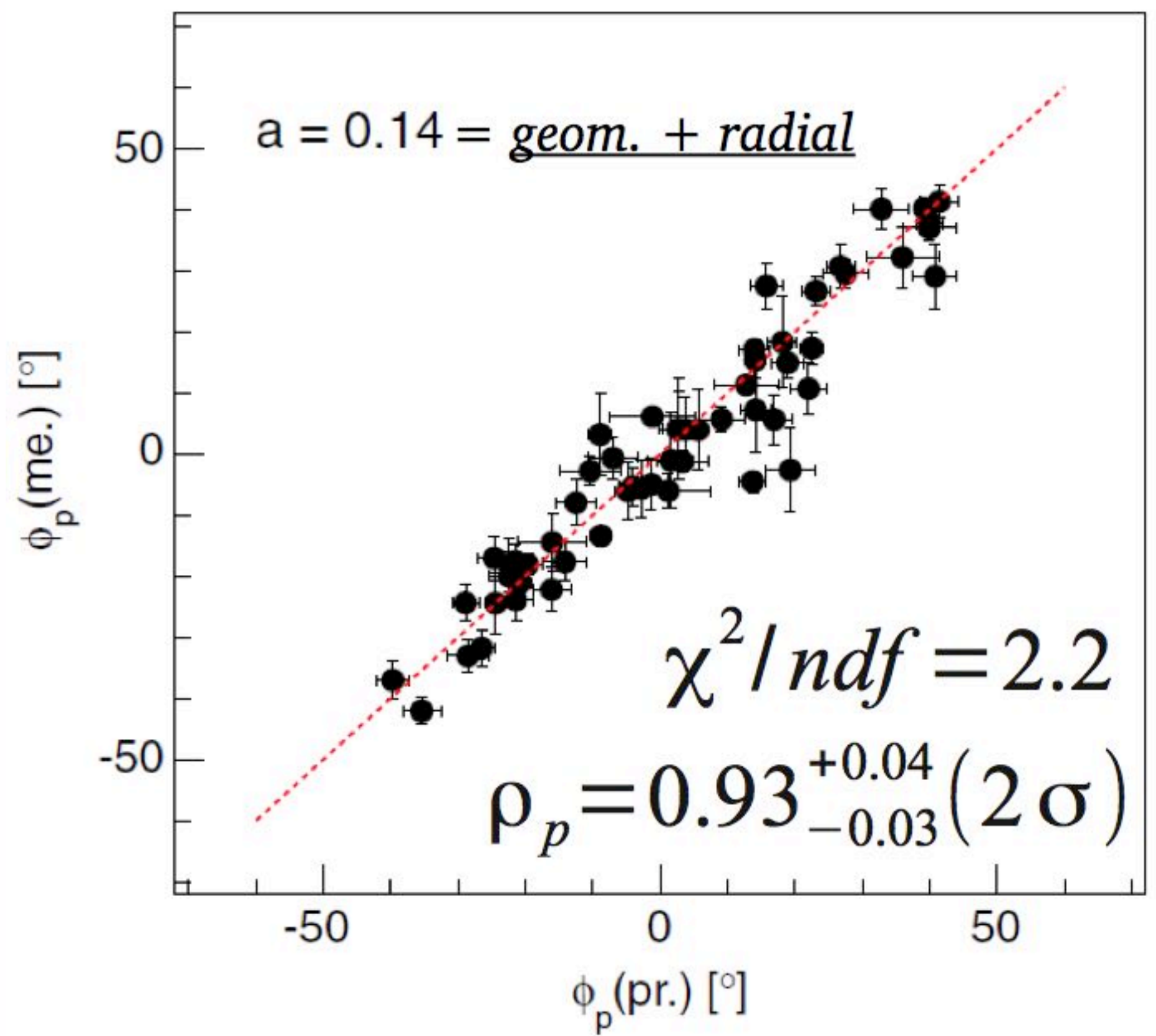
Auger collab., Phys. Rev. D 89, 052002 (2014)

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AERA data



Auger collab., Phys. Rev. D 89, 052002 (2014)

### III. Extracting CR characteristics (energy, $X_{\max}$ )

# Lateral distribution function: **energy** estimation

two mechanisms interfere: we lose azimuthal symmetry

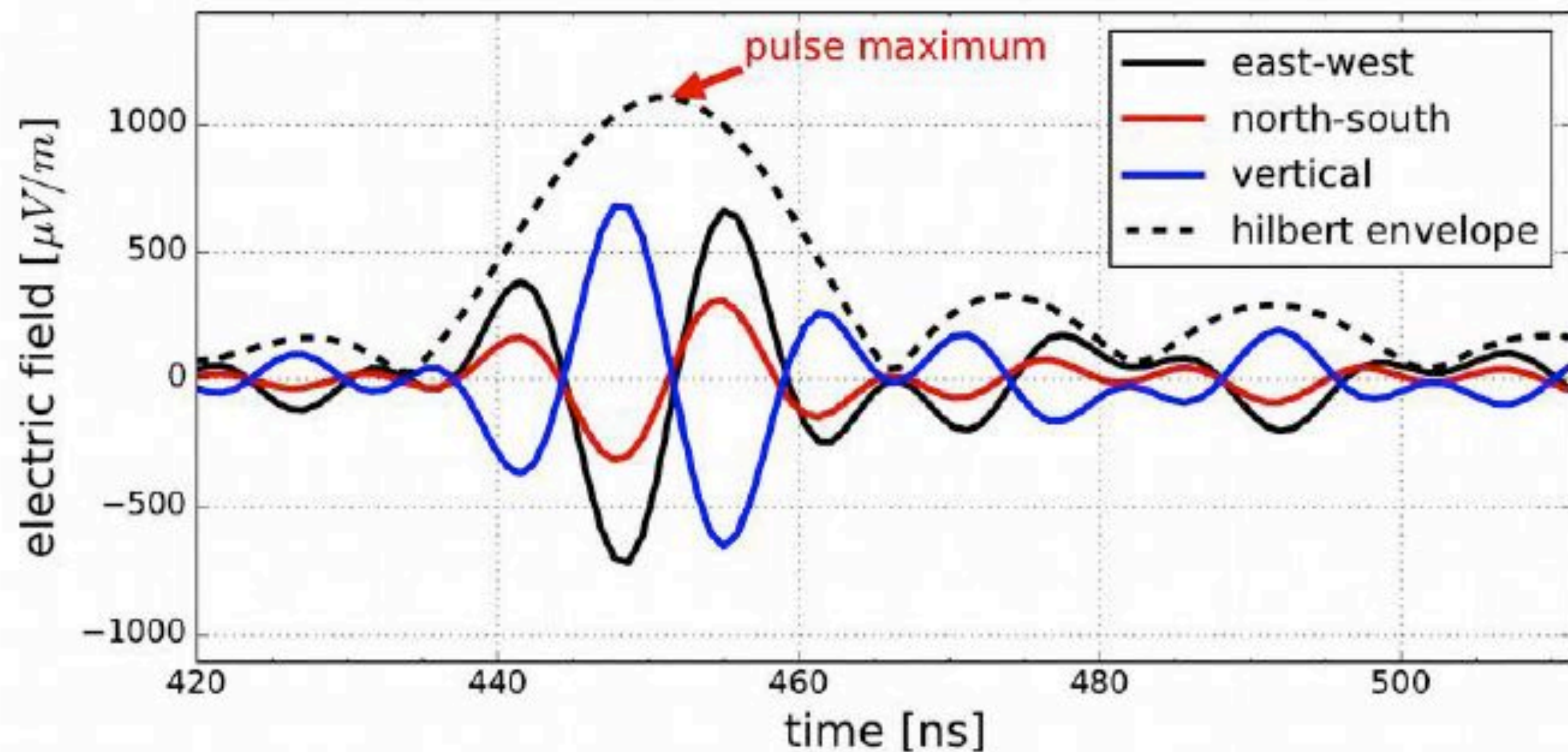
**need 2D LDF**, here difference of 2 Gaussians computed from dedicated simulations (using CoREAS)

Nelles et al., Astropart. Phys. 60, 13 (2015)

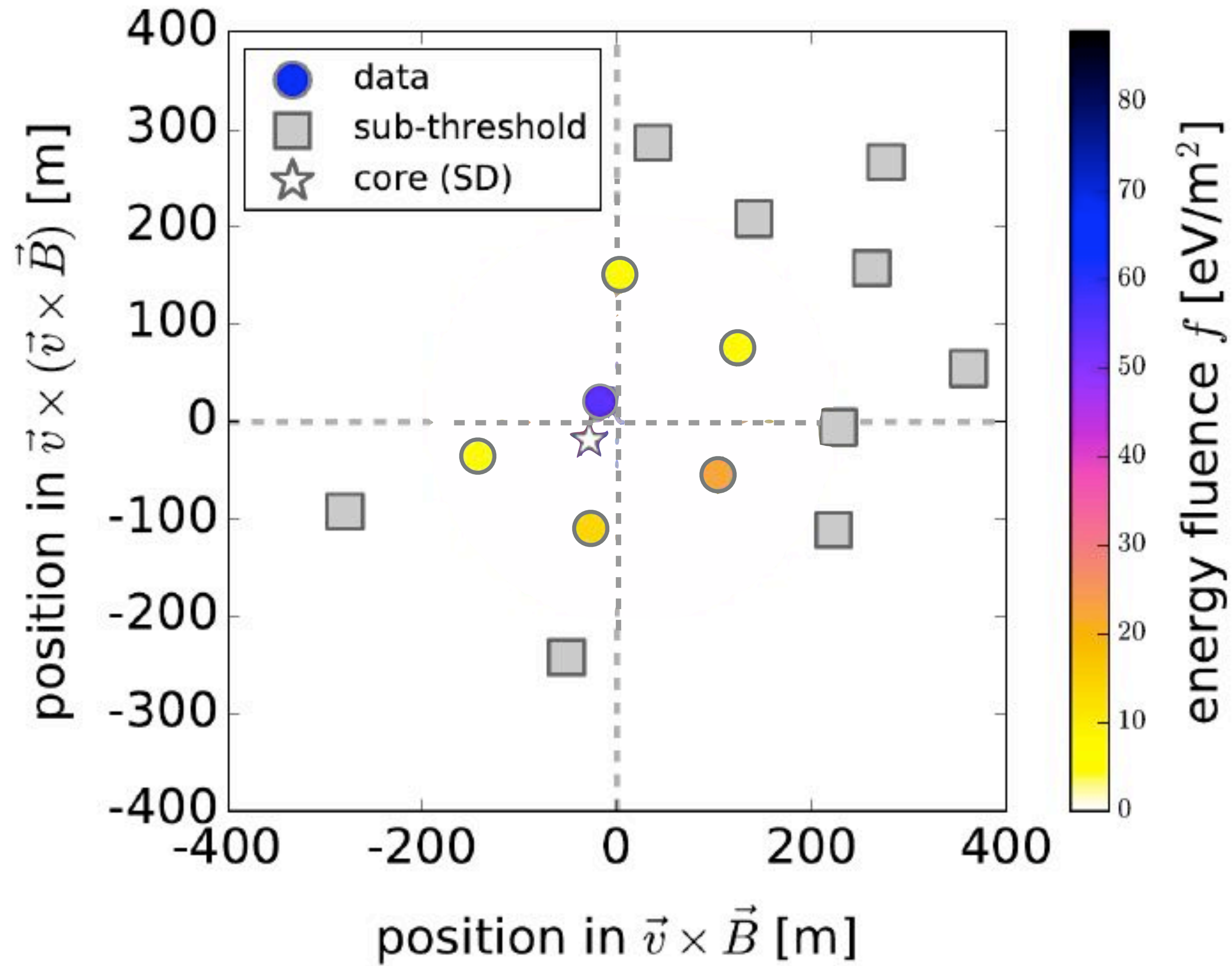
$$\text{LDF}(\vec{r}) = \Lambda \left( \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_1 \vec{e}_{\vec{v} \times \vec{B}})^2}{\sigma^2} \right) - C_0 \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_2 \vec{e}_{\vec{v} \times \vec{B}})^2}{(C_3 e^{C_4 \sigma})^2} \right) \right)$$

For a single radio station:

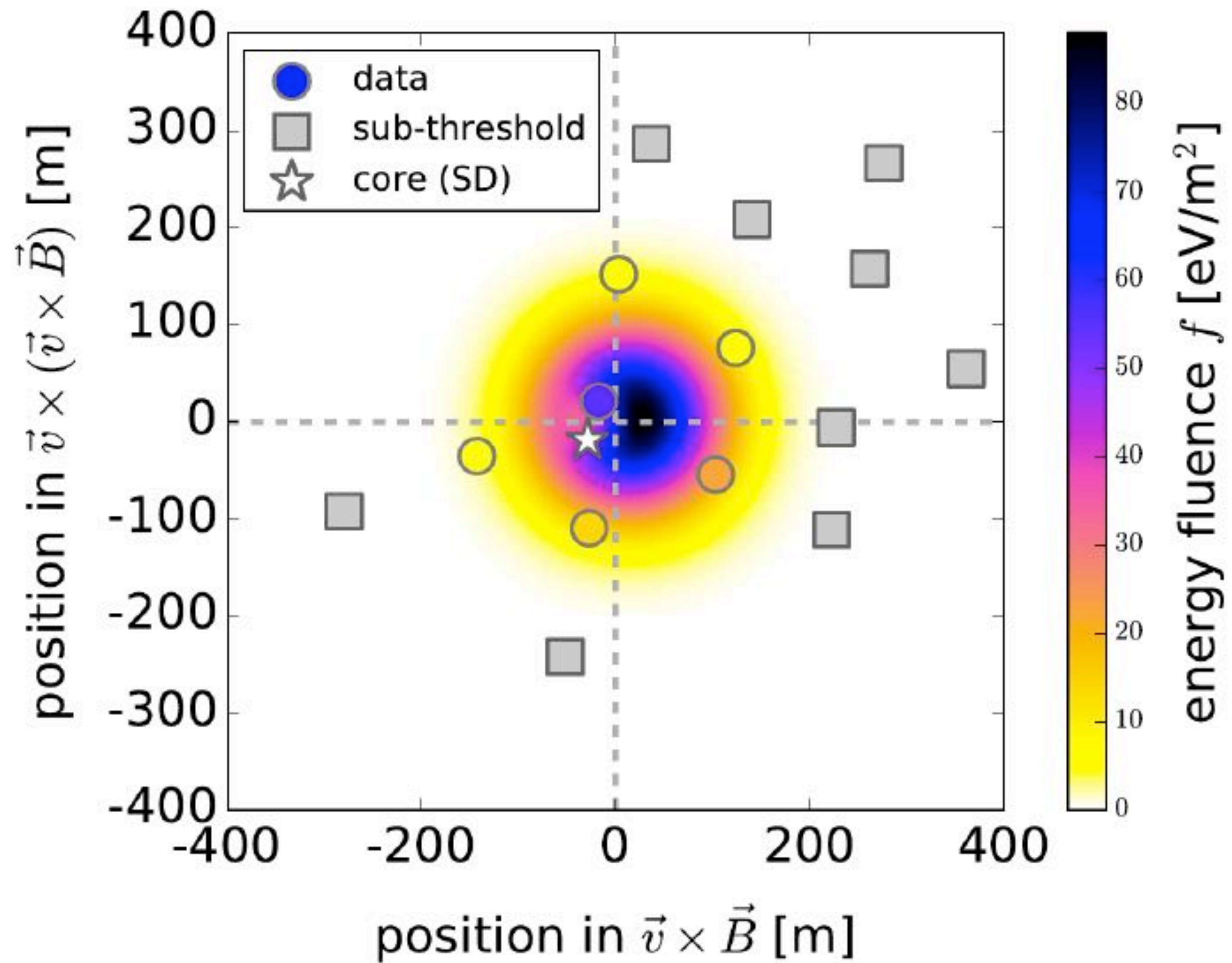
1. compute E-field vs time
2. integrate the Poynting vector to get the energy fluence (eV/m<sup>2</sup>)



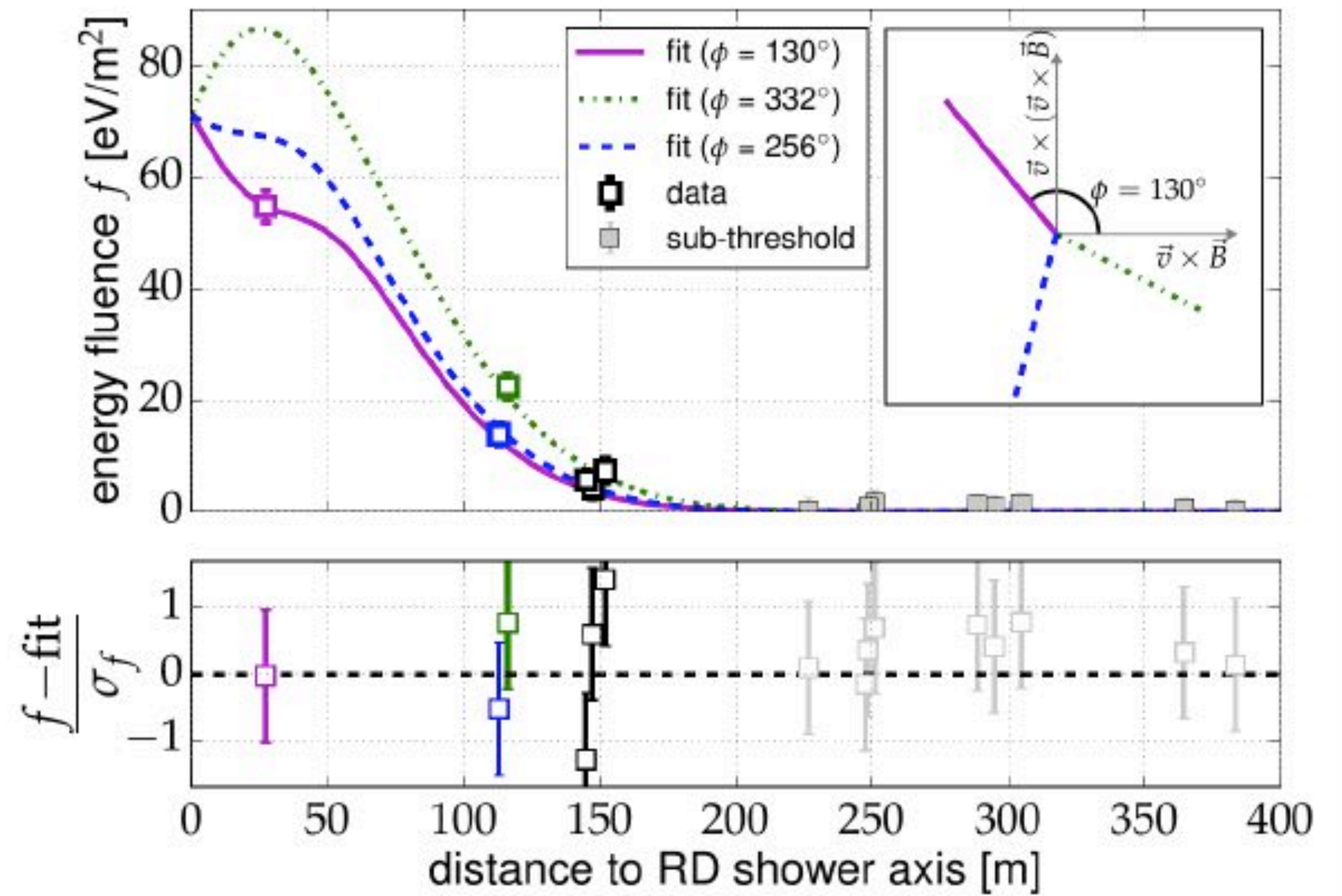
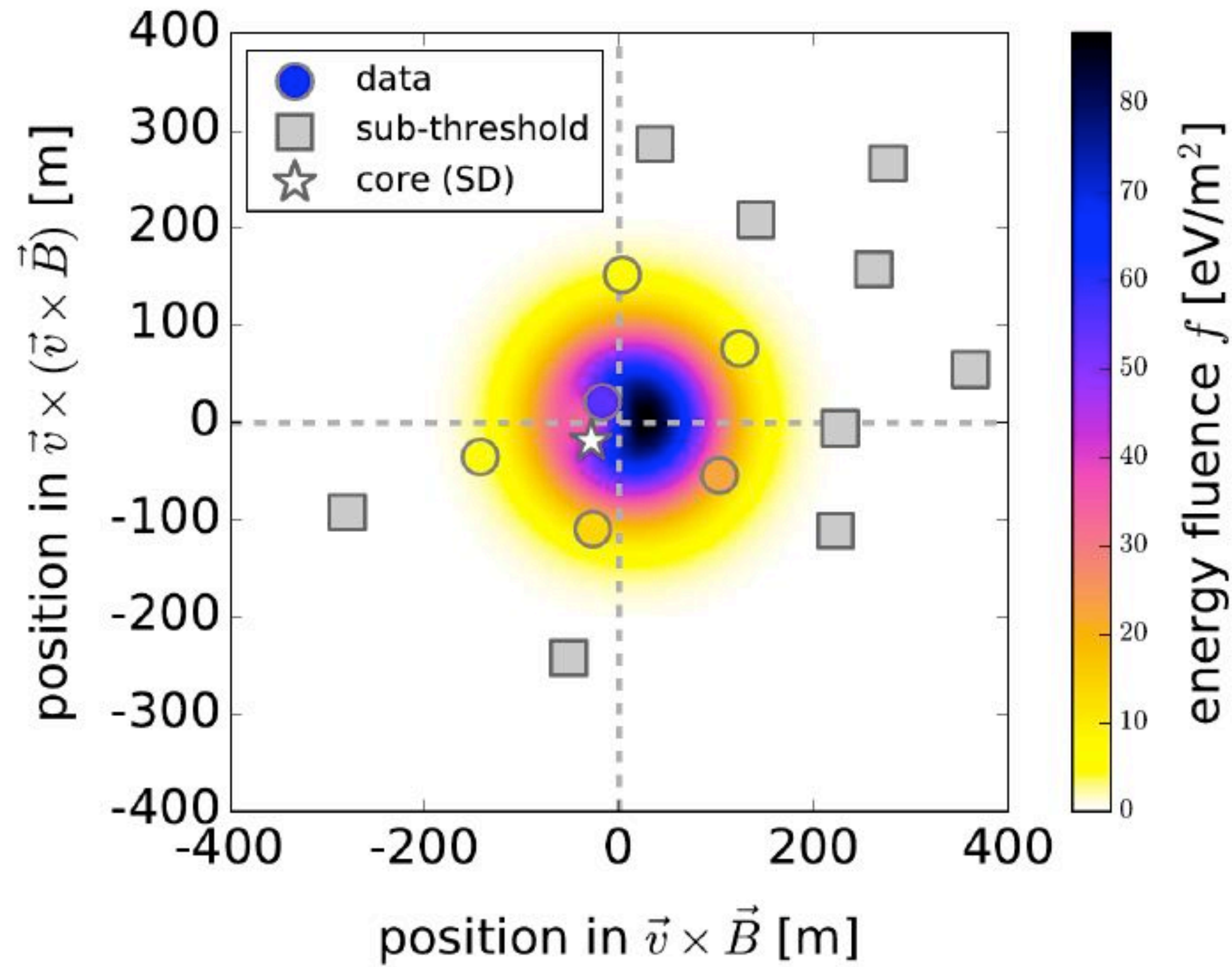
# Energy estimation: single station data, eV/m<sup>2</sup>



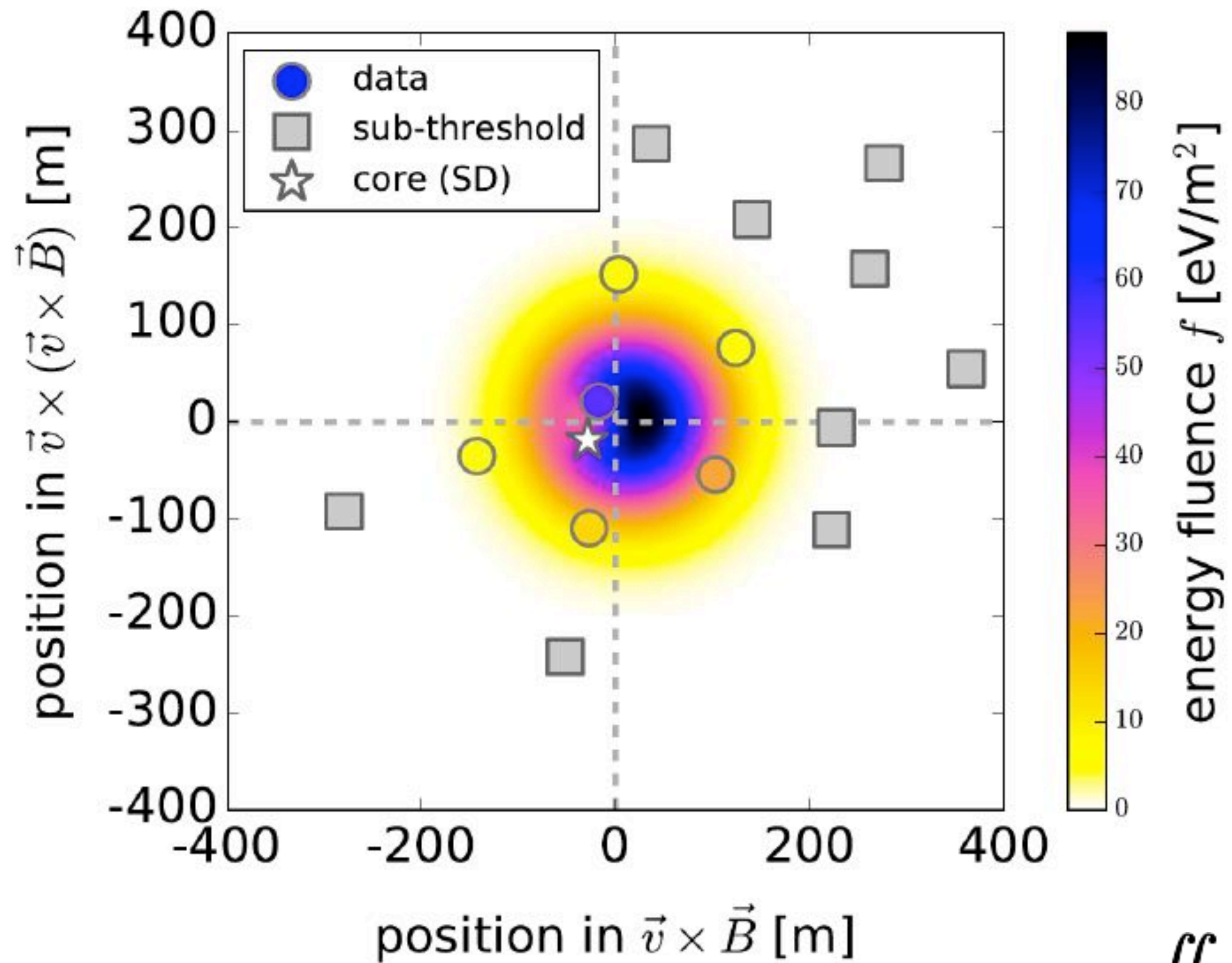
# Energy estimation: 2D LDF best fit



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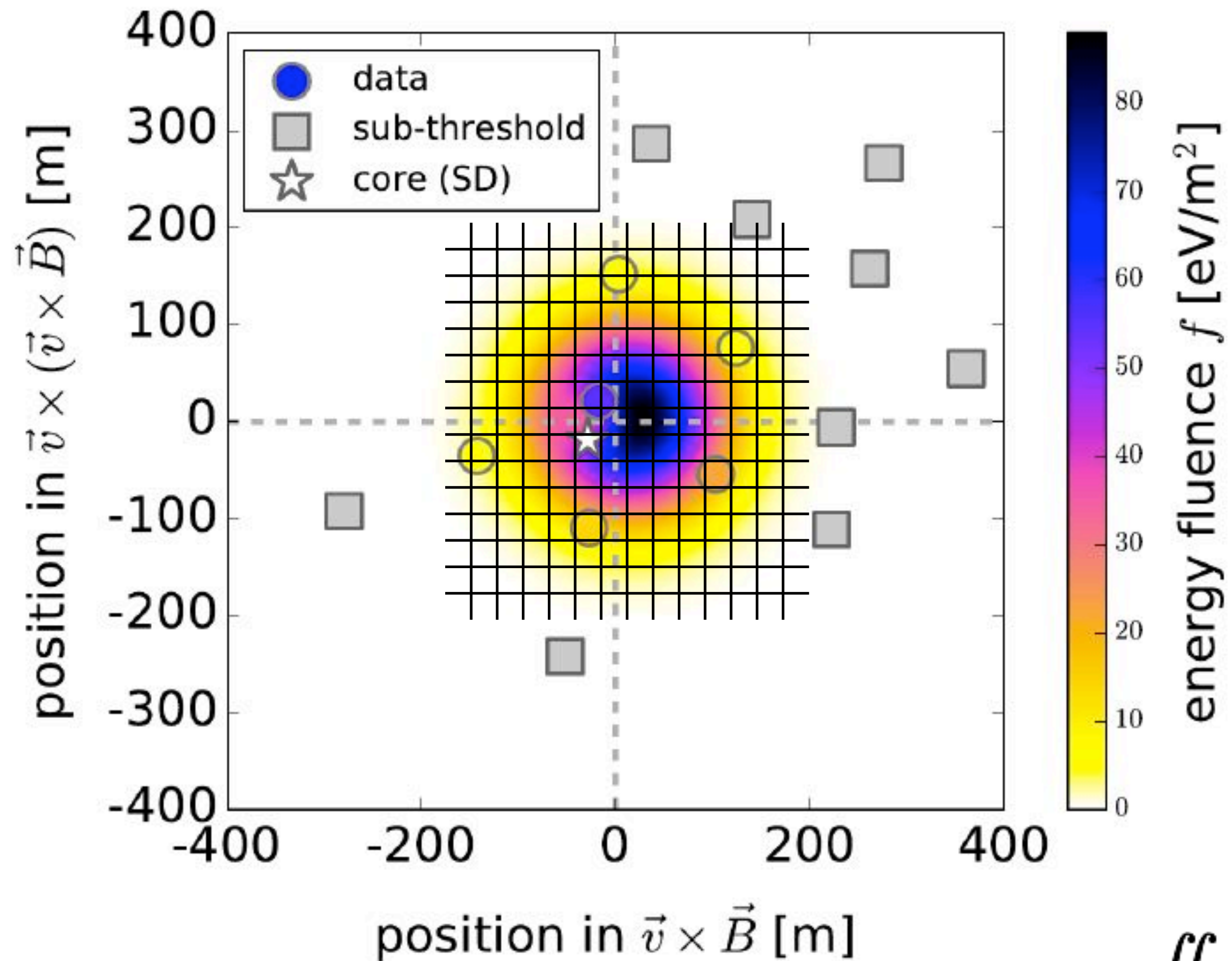
# Energy estimation: 2D LDF integration



$$E_{\text{radio}} = \iint \text{LDF}(x, y) dx dy$$

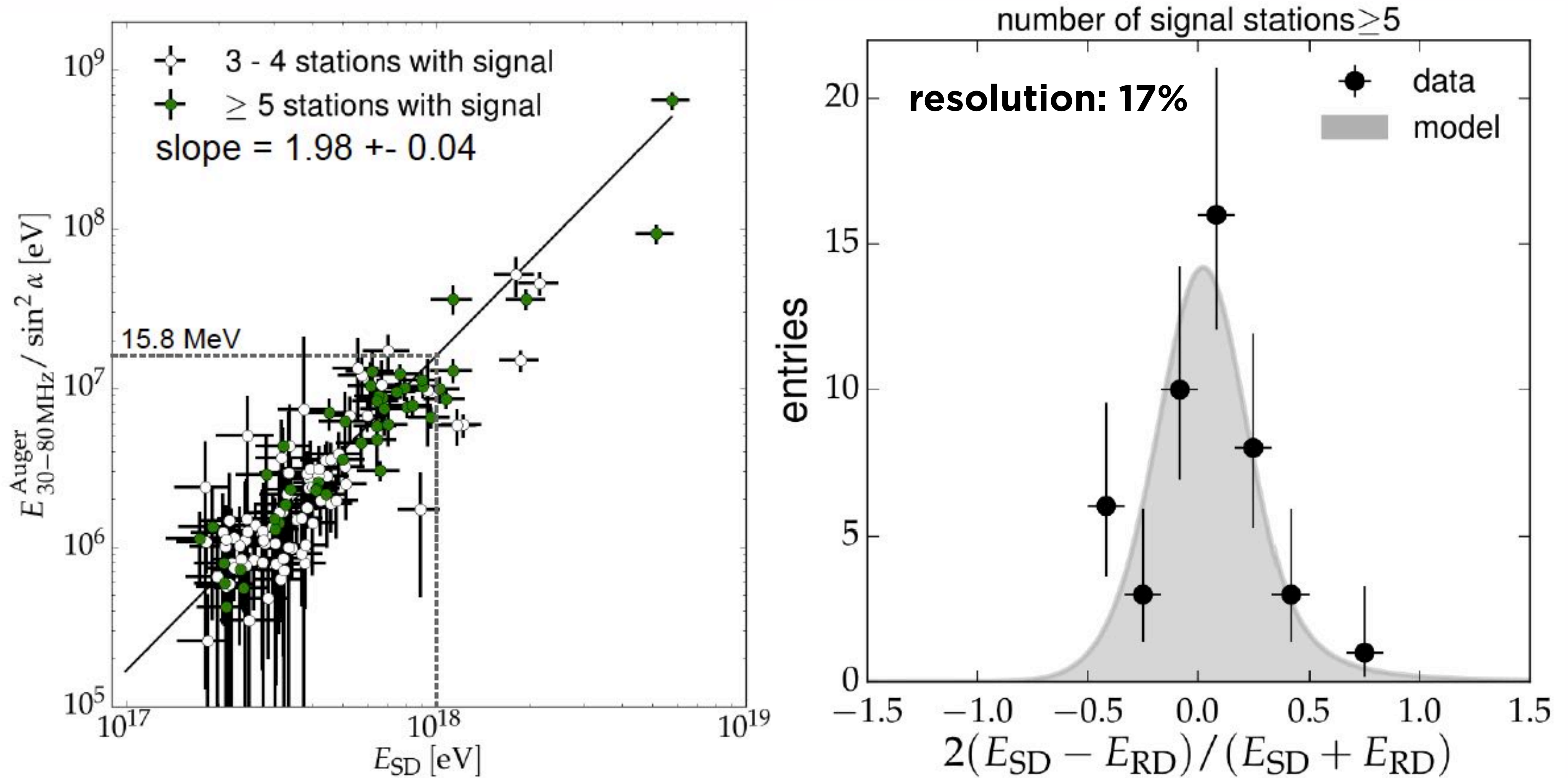


# Energy estimation: 2D LDF integration



$$E_{\text{radio}} = \iint \text{LDF}(x, y) dx dy$$

using events in coincidence with Auger SD,  
compare the deposited energy with the SD energy:



Auger collab., PRL 116, 241101 (2016)  
Auger collab., PRD 93, 122005 (2016)

# Calorimetric energy estimation

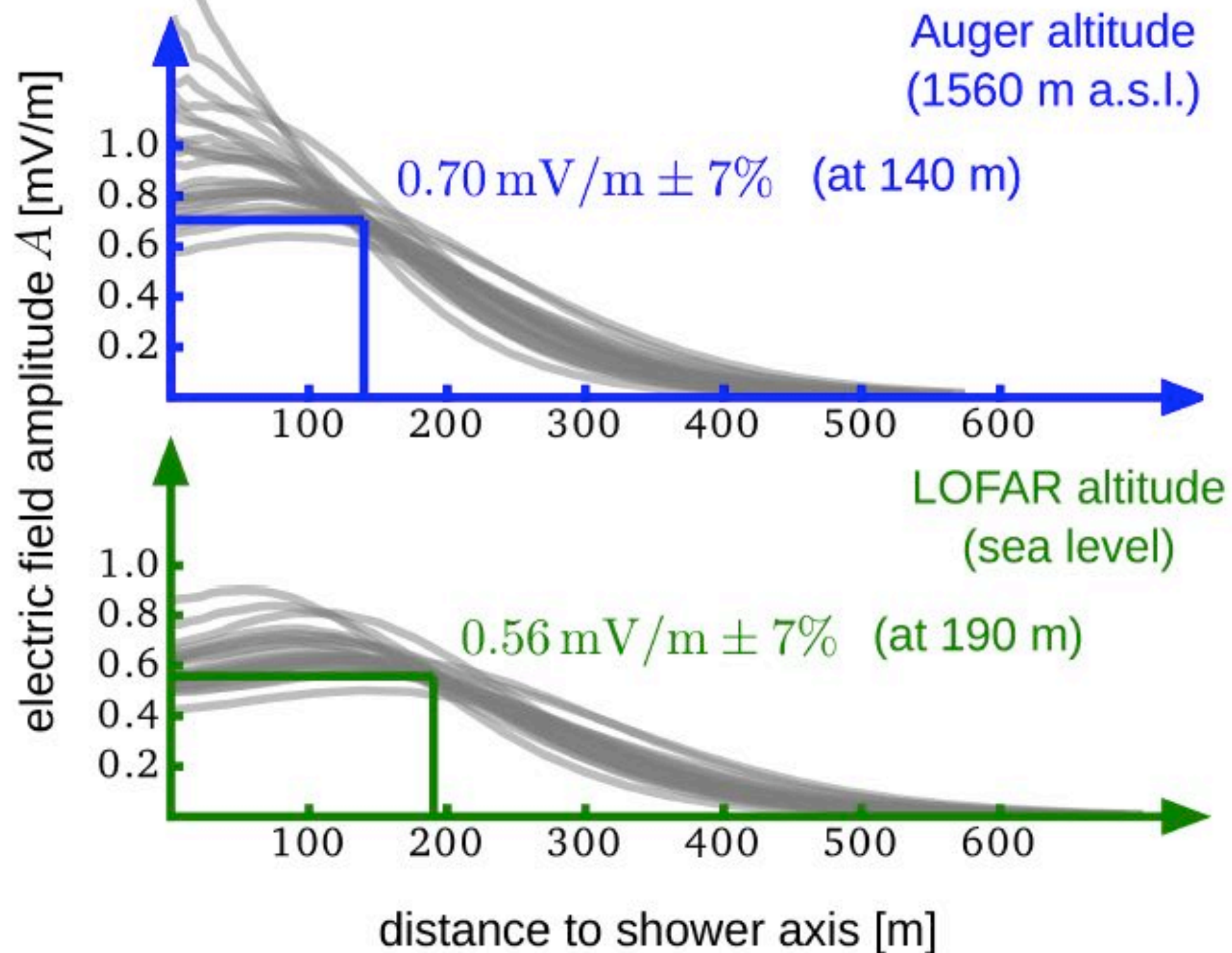
this provides a calorimetric energy estimation from the **radiated energy** in [30-80] MHz:

$$E_{[30;80] \text{ MHz}} = 15.8 \text{ MeV} \left( \sin \alpha \frac{E}{1 \text{ EeV}} \frac{B}{0.24 \text{ G}} \right)^2$$

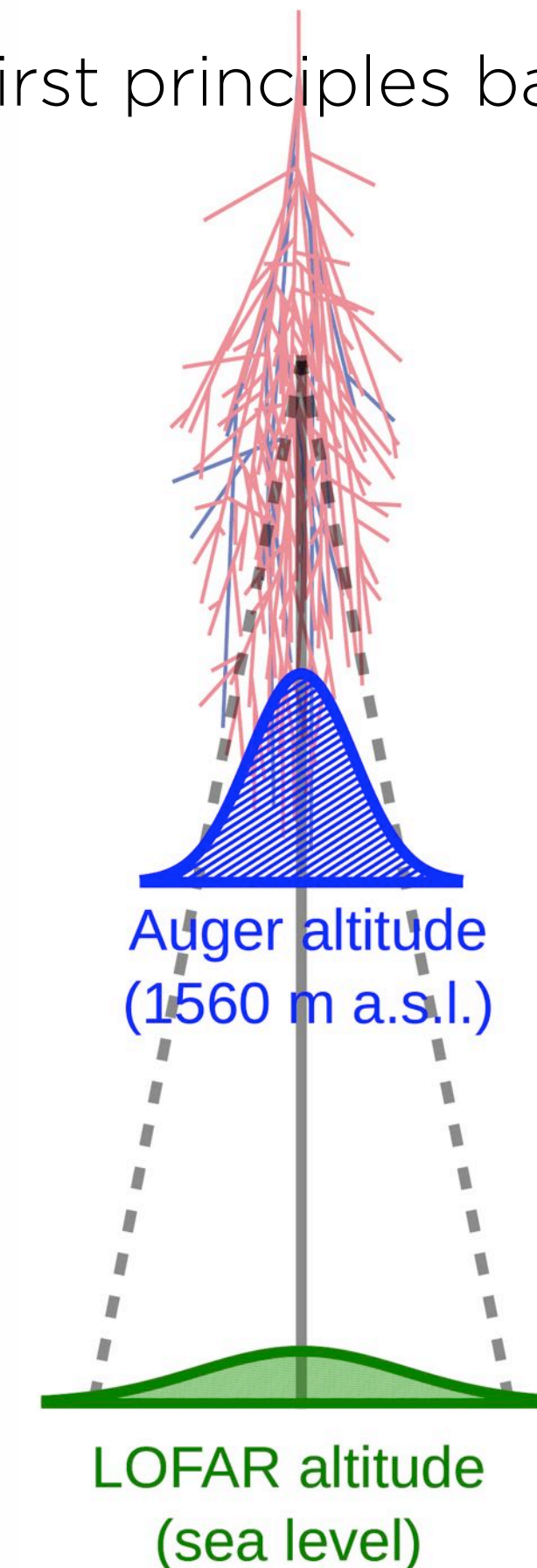
Auger collab., PRL 116, 241101 (2016)  
Auger collab., PRD 93, 122005 (2016)

- allows to calibrate the detector
- allows to cross-calibrate various CR experiments
- universal method as the atmosphere is transparent to radio waves and first principles based method

one simulated shower seen by two experiments:



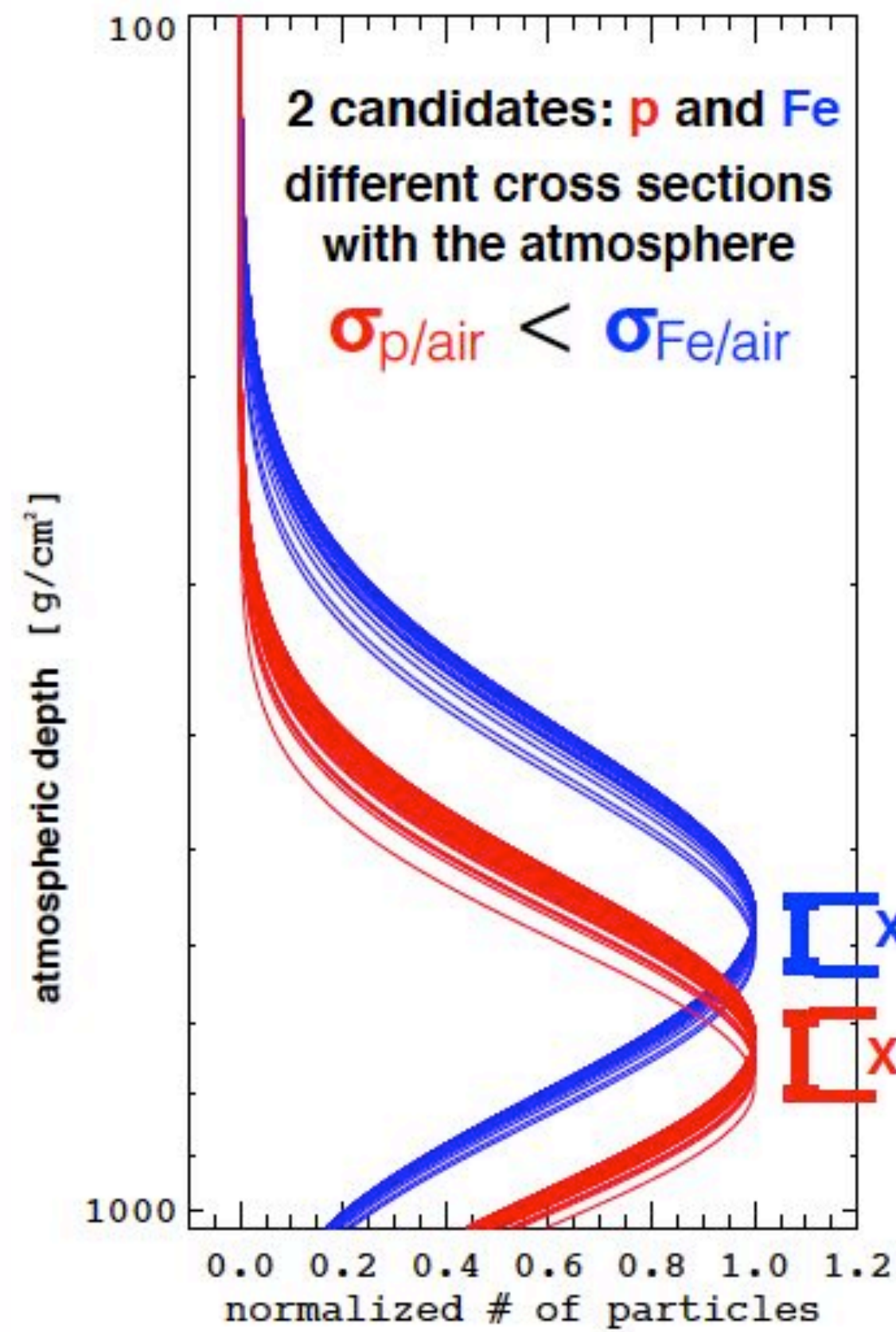
two different  
amplitudes at  
two  
different  
optimal axis  
distances!



**but the same  
radiated energy:  
11.9 MeV**

# $X_{\max}$ determination

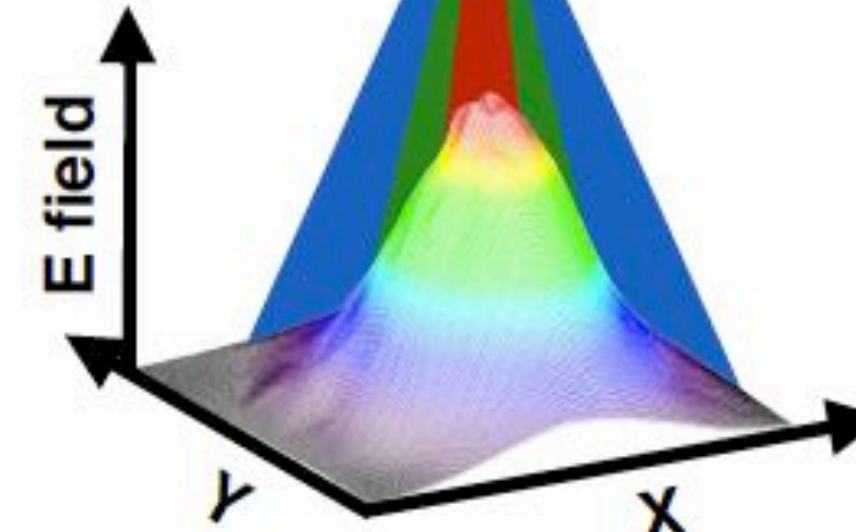
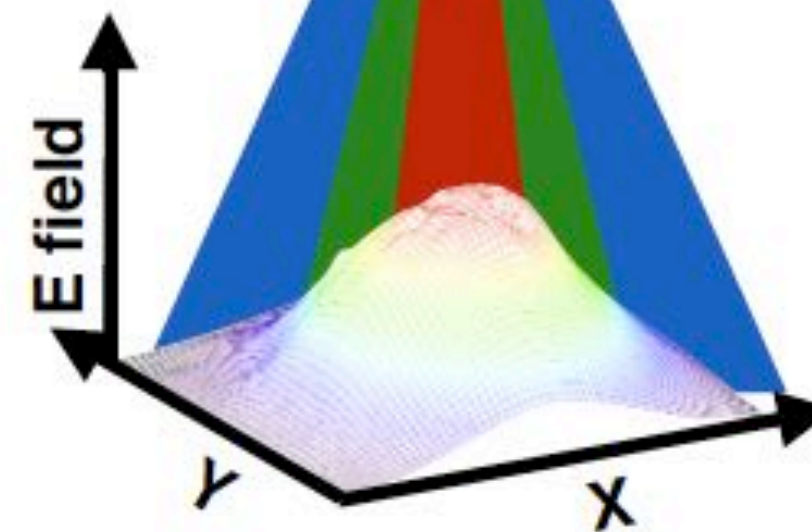
strong correlation between the  $X_{\max}$  and the shape of the 2D LDF



- **Xmax measurement = mass estimator**

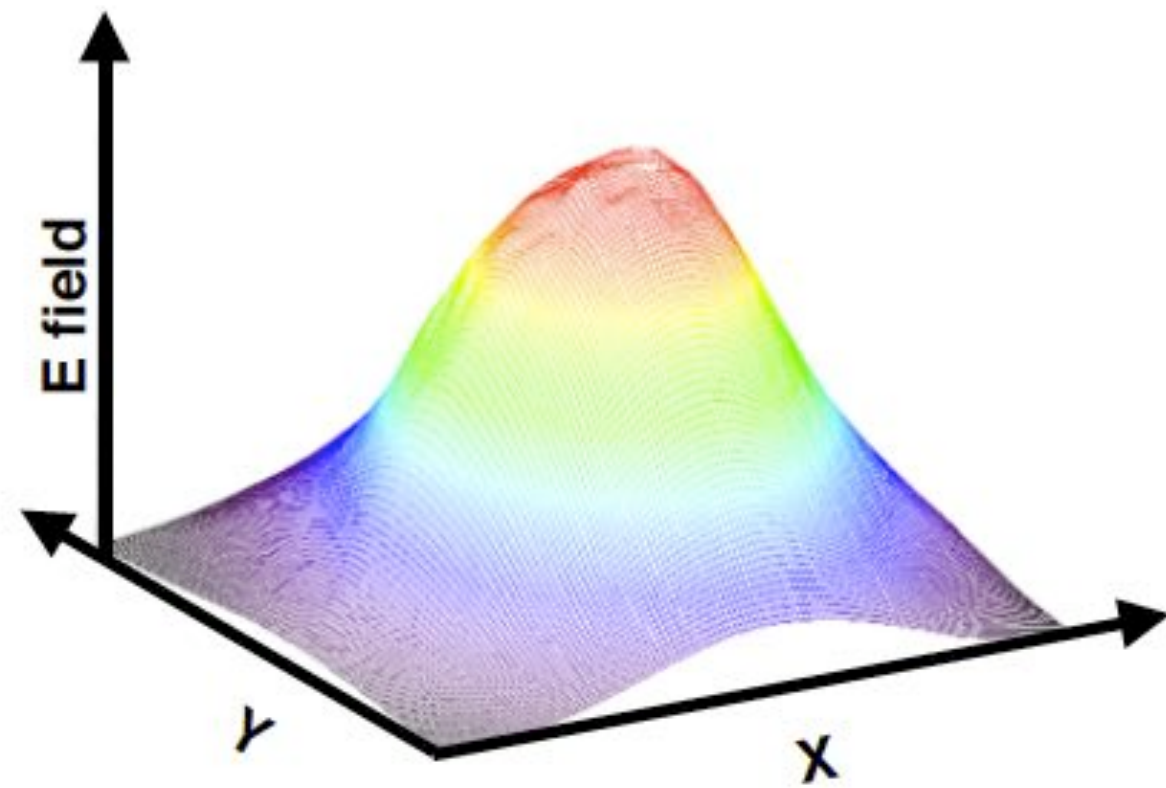
Xmax iron nuclei

Xmax protons

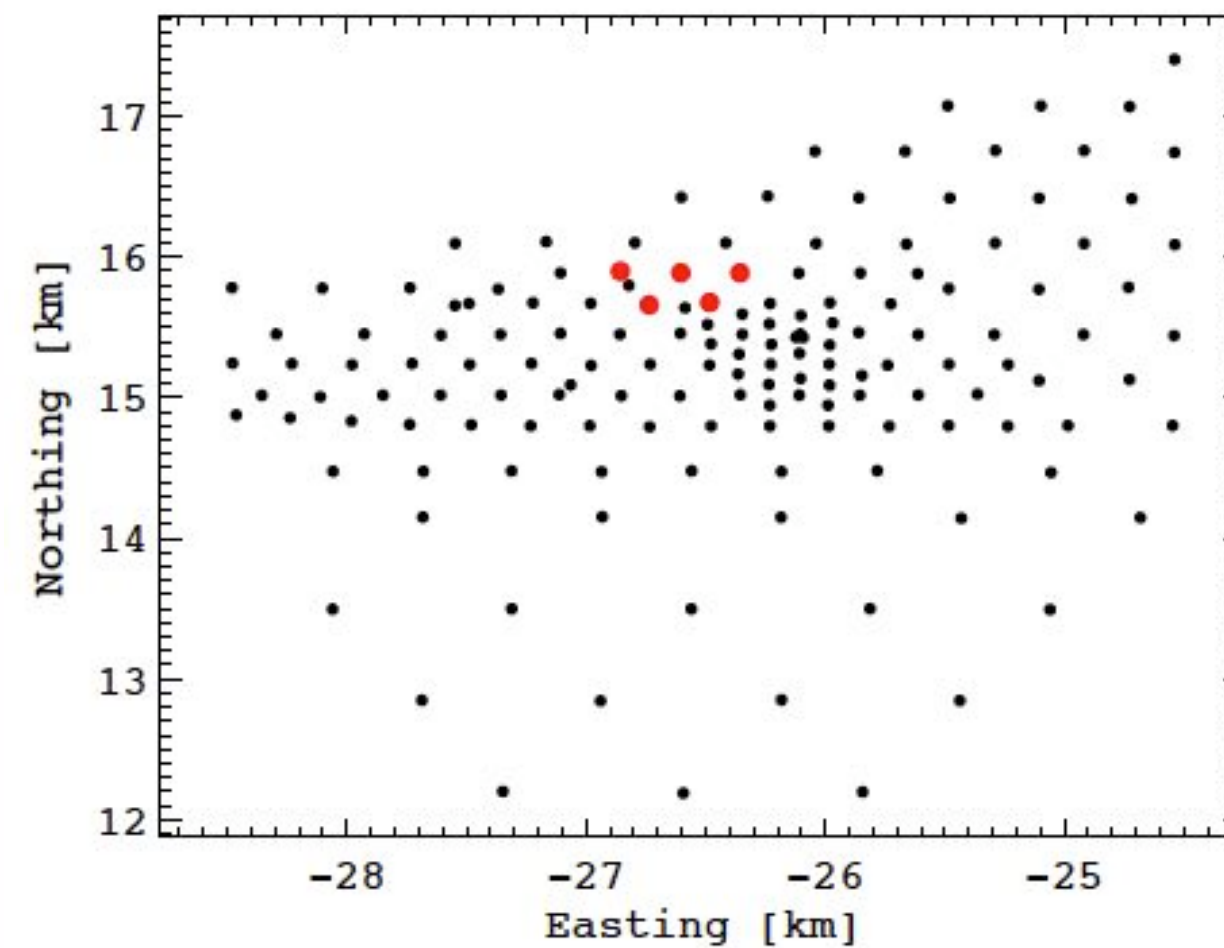


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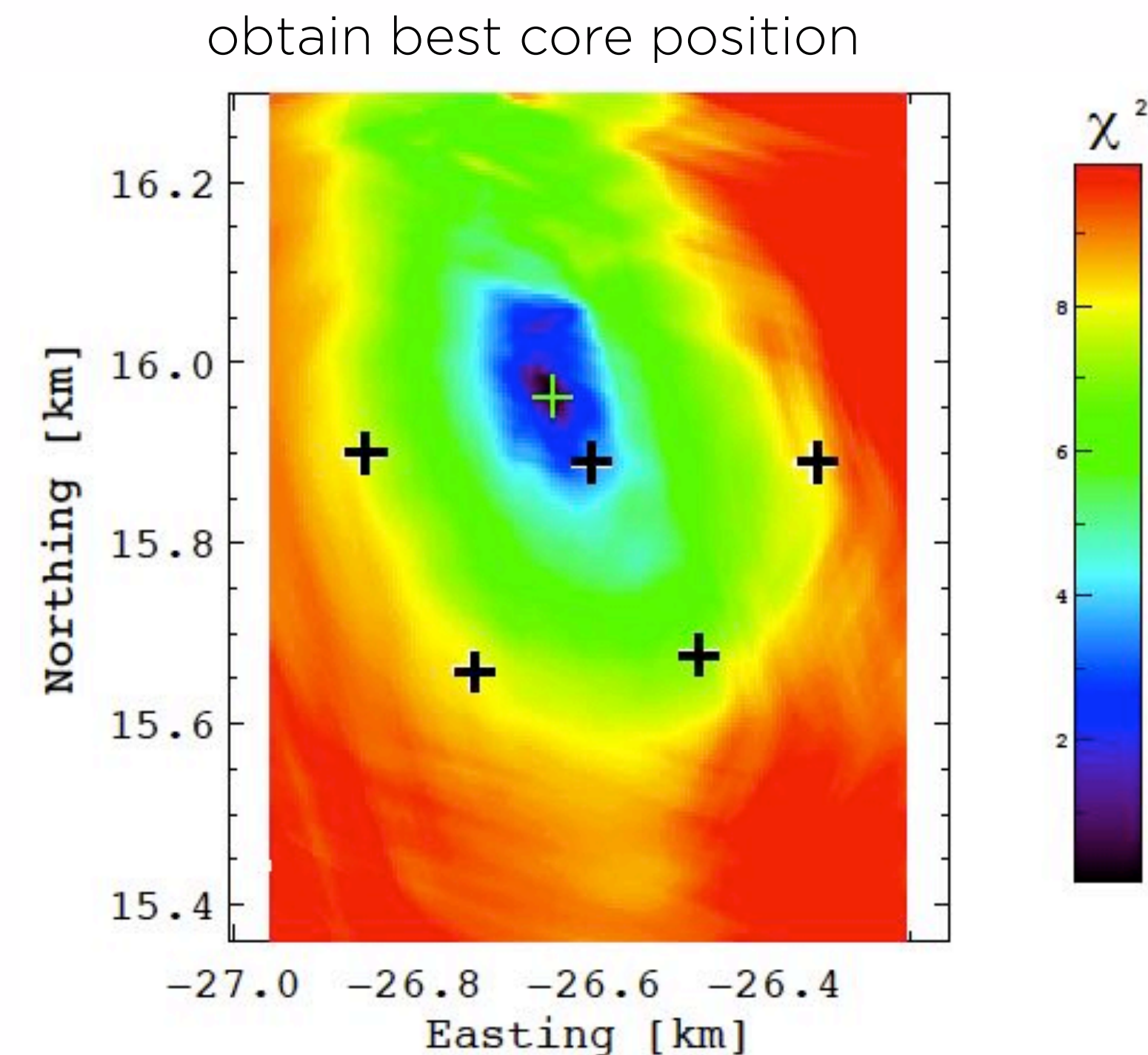
strong correlation between the  $X_{\max}$  and the shape of the 2D LDF  
3 methods currently studied in AERA, example of the amplitude method  
interpolate simulated (SELFAS) electric field at the measurement positions



simulate the shower using the  
radio ( $\theta, \phi$ ) and assume 1 EeV



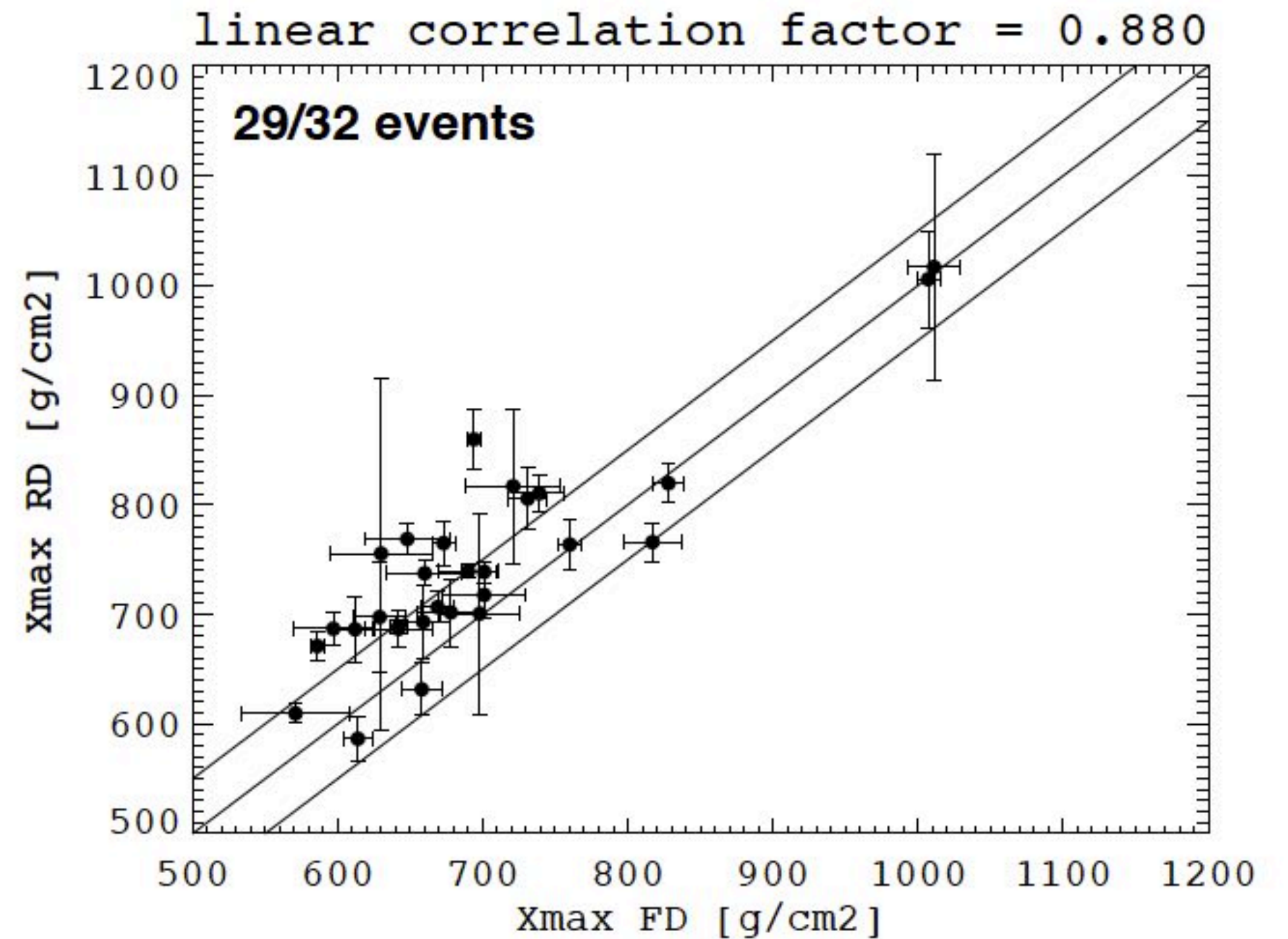
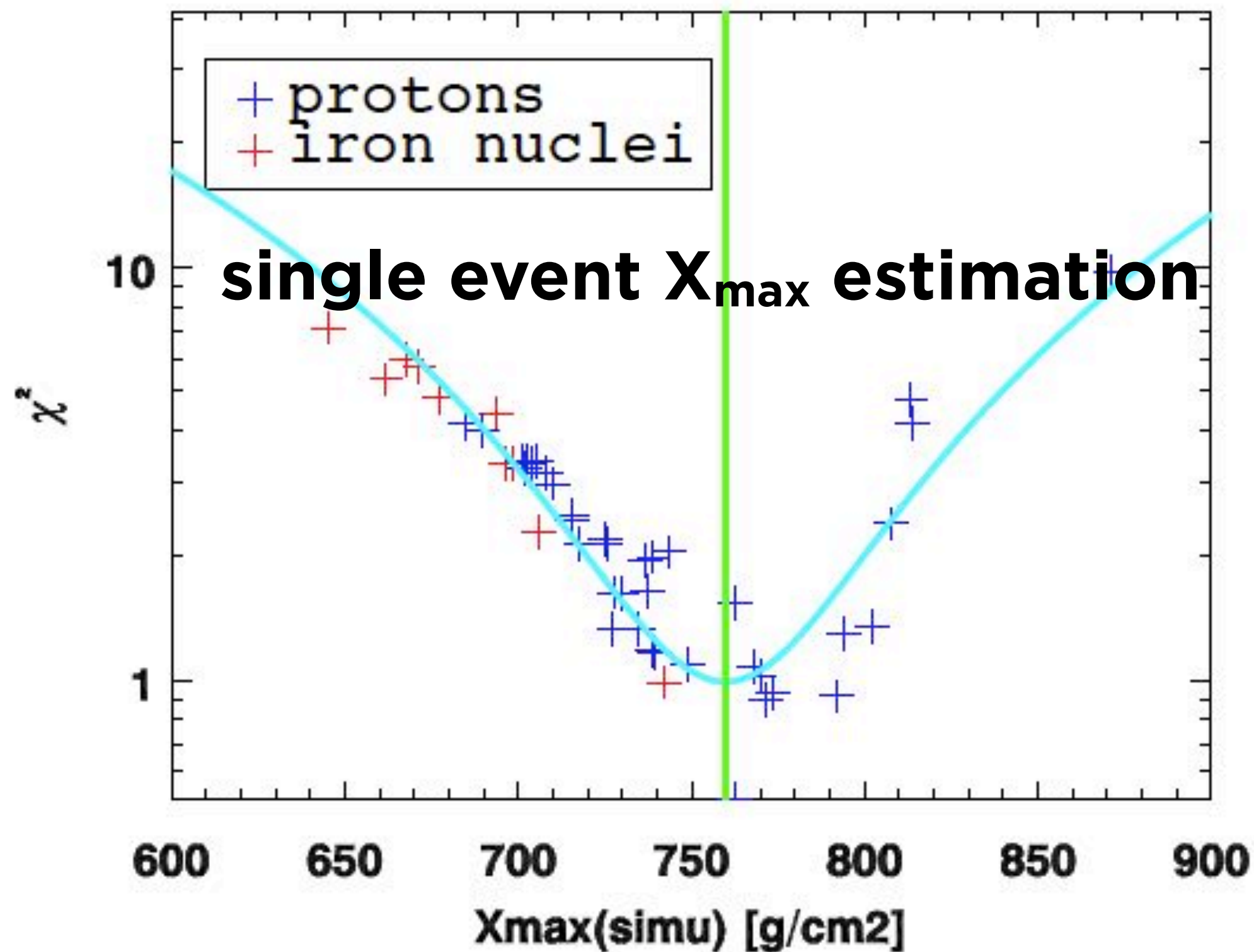
compare expected values to data



# $X_{\max}$ determination

strong correlation between the  $X_{\max}$  and the shape of the 2D LDF  
3 methods currently studied in AERA, example of the amplitude method  
interpolate simulated (SELFAS) electric field at the measurement positions

$X_{\max} = 760 \text{ g/cm}^2$



width of residuals:  $40 \text{ g/cm}^2$

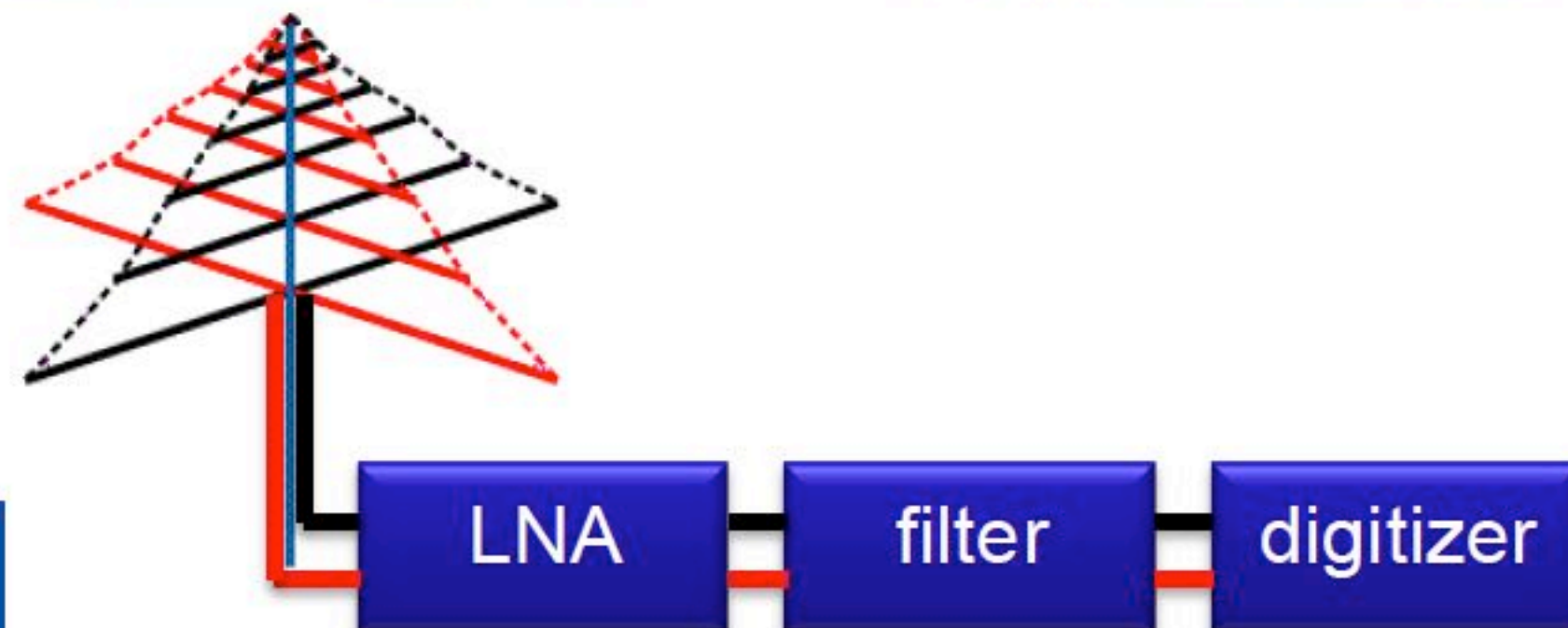
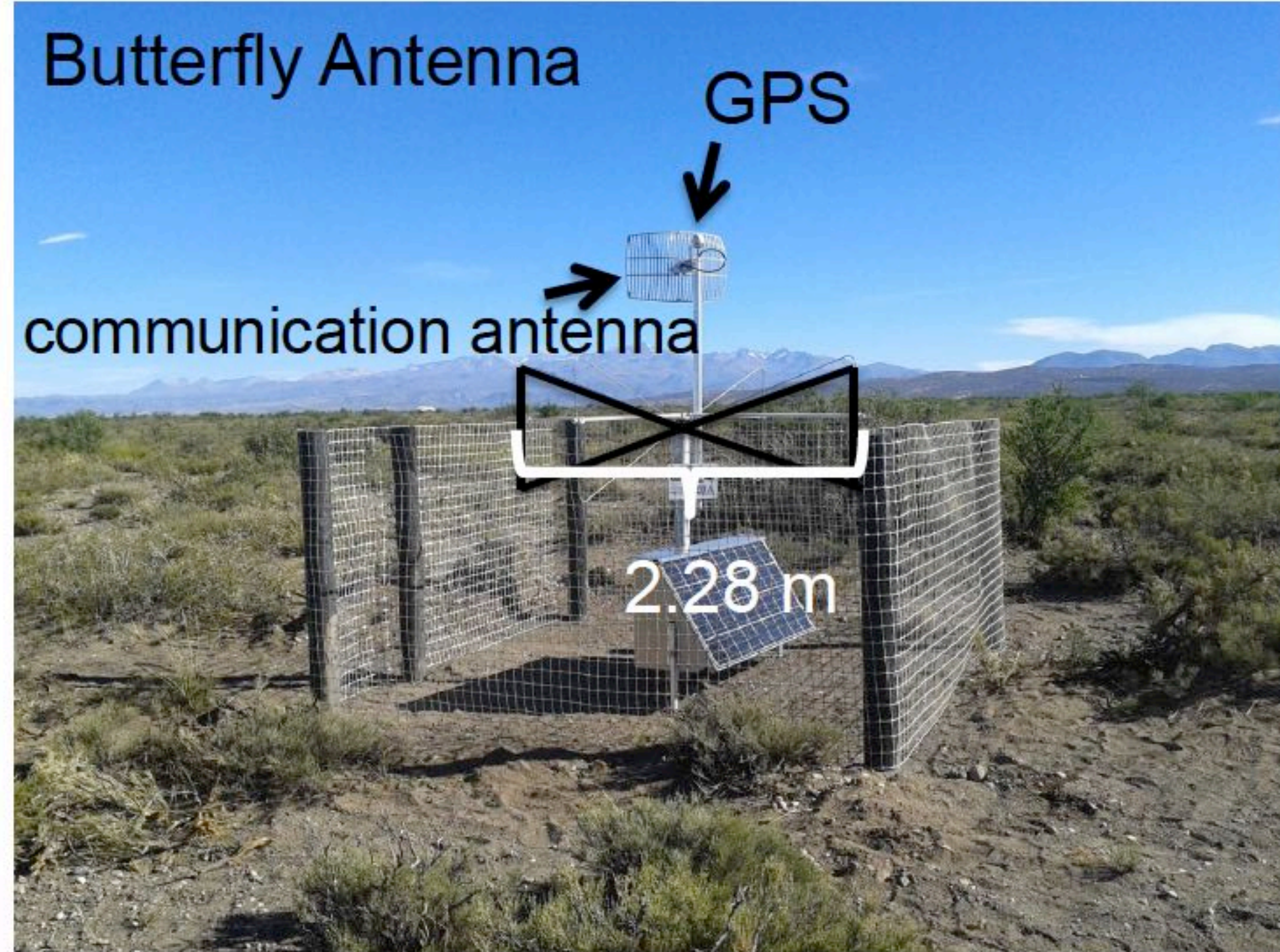
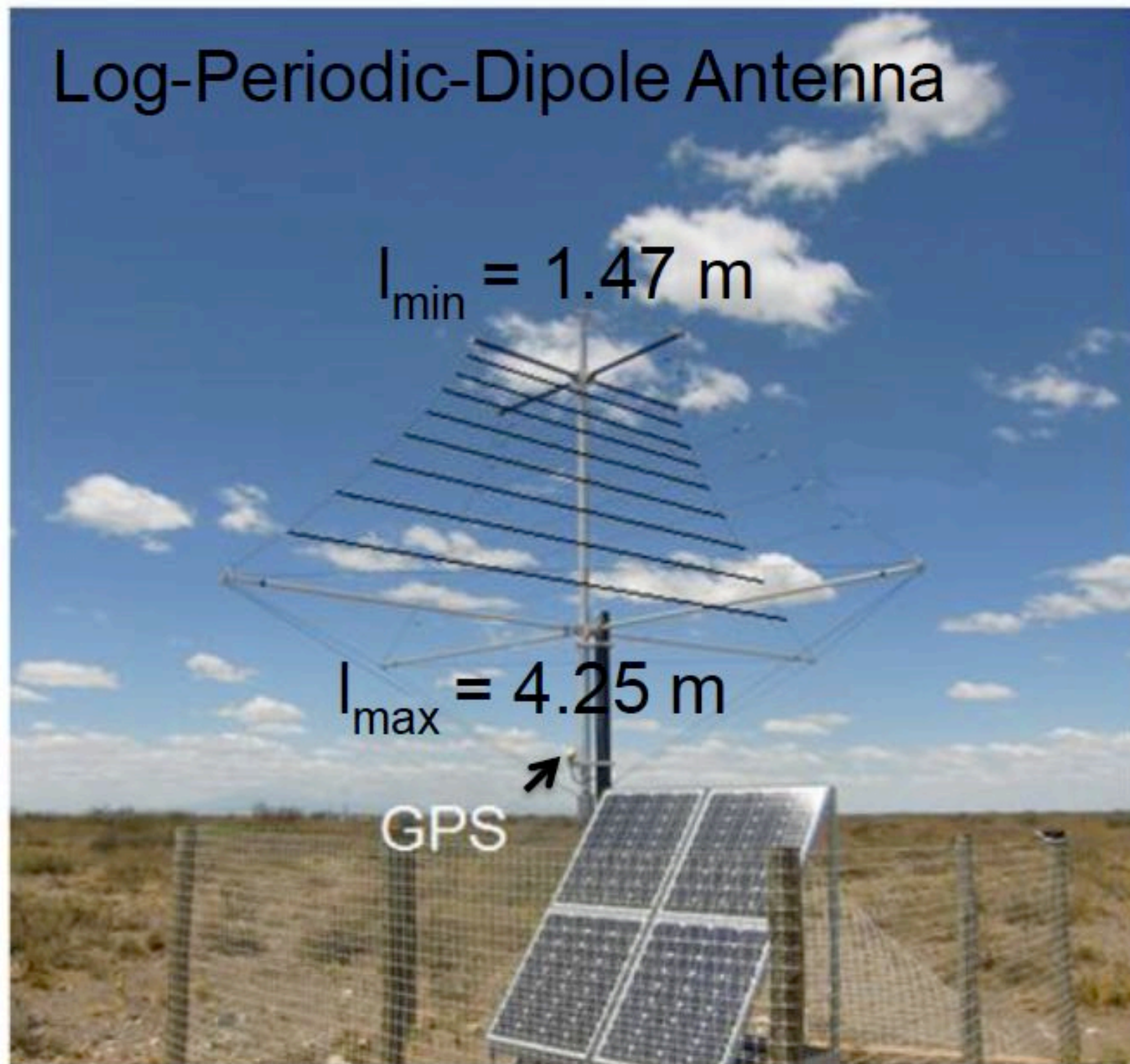
# Conclusion

- AERA is properly calibrated, covers 17 km<sup>2</sup> and produces high-quality data in correlation with showers detected by all detectors of the Pierre Auger Observatory
- the source of the radio signal is relatively well understood
- Energy:
  - the primary energy is partly released as radiation energy in a calorimetric way:  
1 EeV => 16 MeV in [30-80] MHz
  - the energy resolution using the radio signal is 17%
  - this provides a new independent energy scale for CR experiments
- Composition:
  - we work on a systematic measurement of X<sub>max</sub>, for each event, with a ~100% duty cycle
  - we expect around 40 g/cm<sup>2</sup> resolution
- data analysis of the full array ongoing, we aim at providing results on the energy spectrum and composition in the transition region



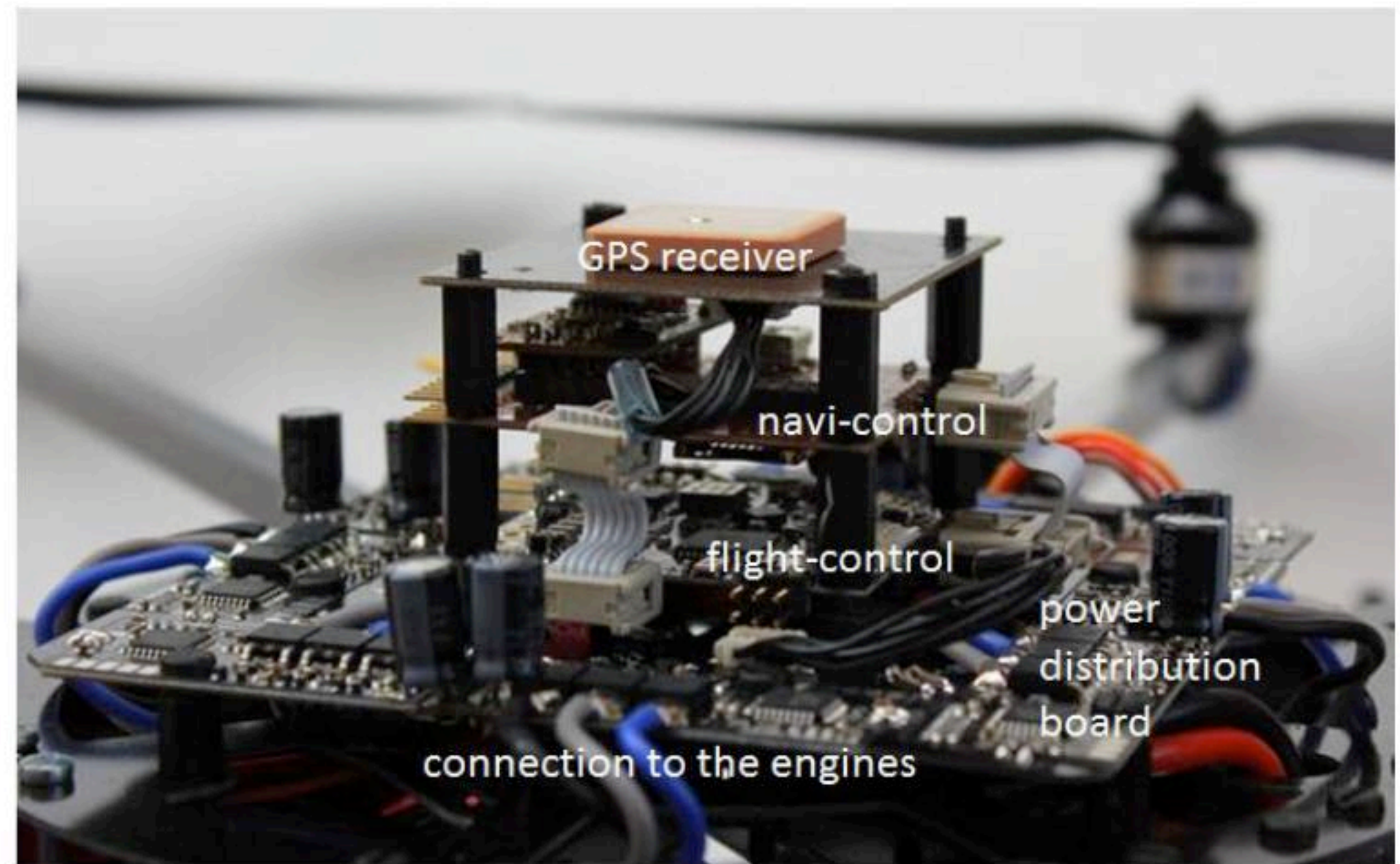
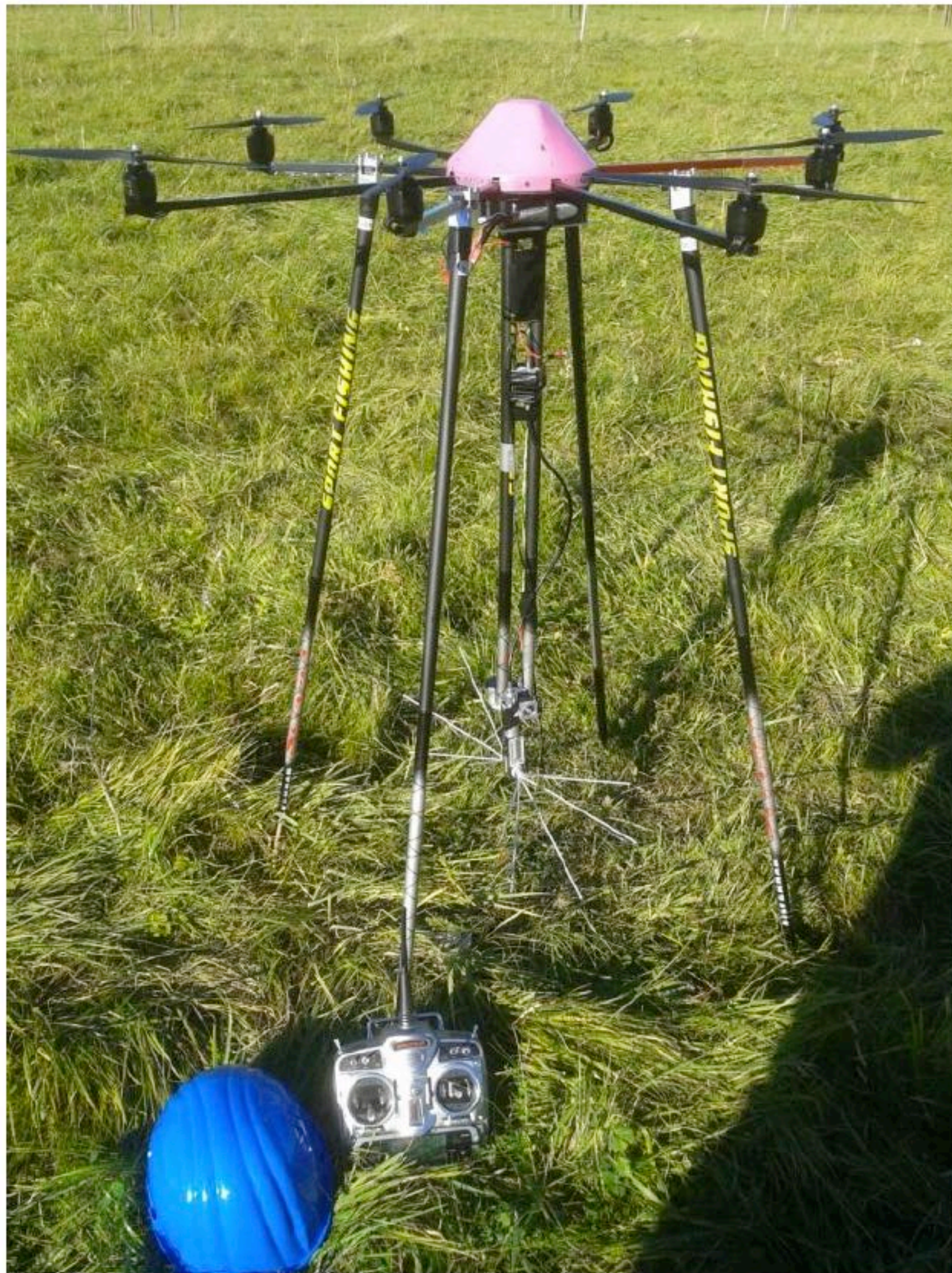


## Log-Periodic-Dipole Antenna

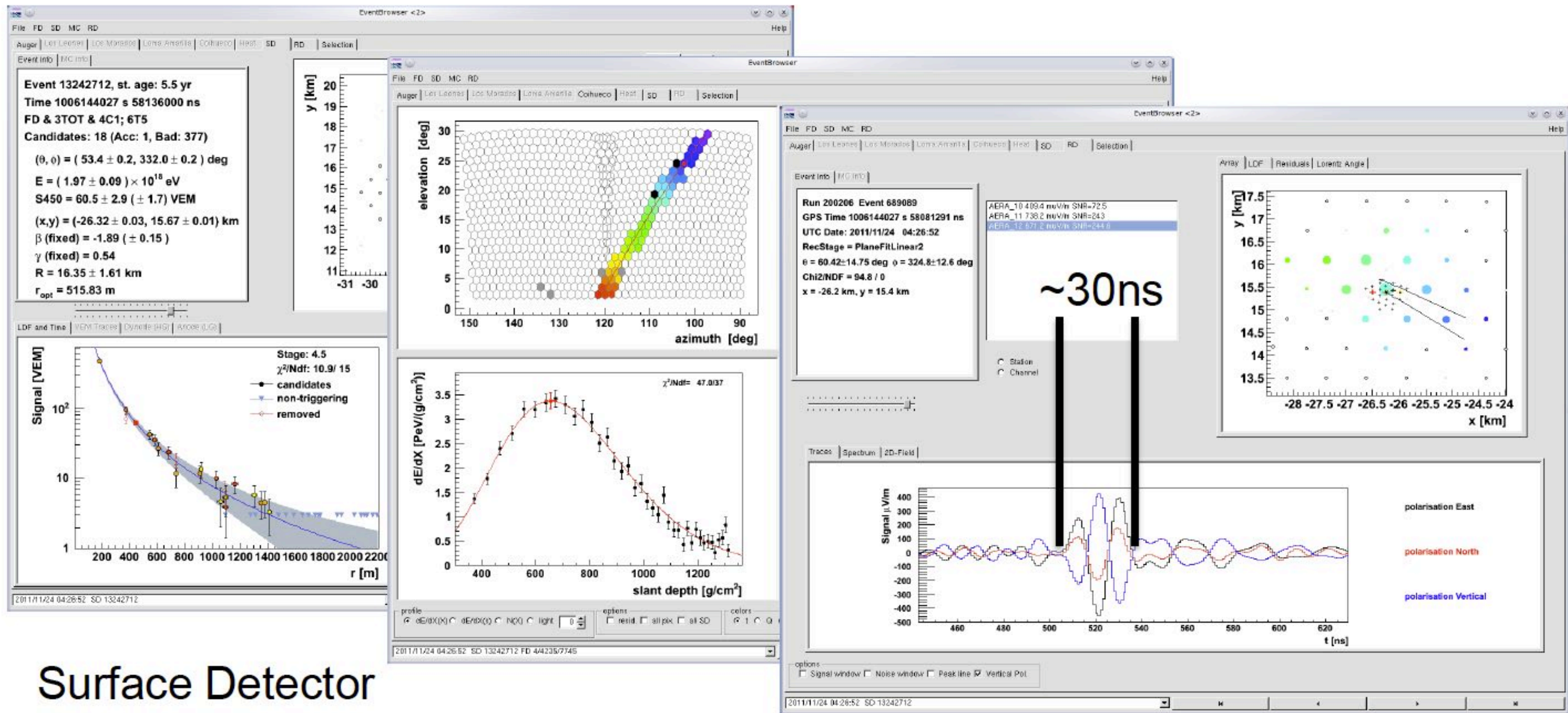


- 2 different radio station types
- NS and EW polarized antenna
- antenna alignment:
  - to magnetic north with precision  $< 1^\circ$
- bandwidth: 30MHz - 80MHz
- autonomous radio station
- power consumption:  $\sim 10W$

(Raphael Krause, Vienna 2016)



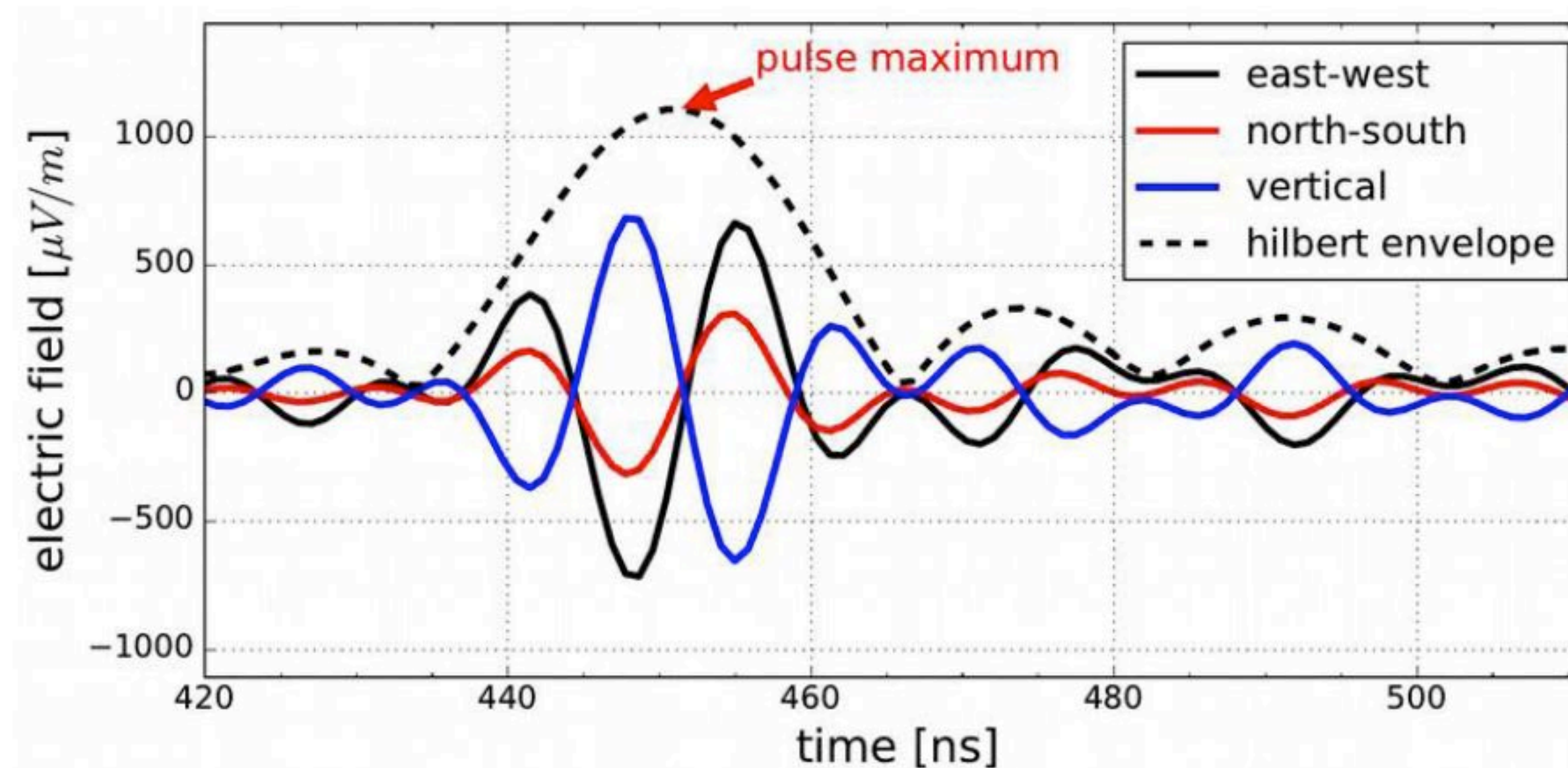
- power: 6600 mAh Lipo 13-16V
- payload: ~2000g
- mass: 2545g (including 715g accumulator)
- flight time: 25min/9min (wo/w payload)
- barometer → elevation
- gyroscope → inclination
- acceleration sensor → angular speed
- GPS → position



Surface Detector

Fluorescence Detector

Radio Detector



- window around maximum of Hilbert envelope
- energy fluence in eV/m<sup>2</sup>

→ time integral of Poynting vector

→ noise expectation subtracted

$$\rightarrow u = \varepsilon_0 c \left( \Delta t \sum_{t_1}^{t_2} |\vec{E}(t_i)|^2 - \Delta t \frac{t_2 - t_1}{t_4 - t_3} \sum_{t_3}^{t_4} |\vec{E}(t_i)|^2 \right)$$

(Christian Glaser, ARENA 2016)

$$\text{LDF}(\vec{r}) = \Lambda \left( \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_1 \vec{e}_{\vec{v} \times \vec{B}})^2}{\sigma^2} \right) - C_0 \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_2 \vec{e}_{\vec{v} \times \vec{B}})^2}{(C_3 e^{C_4 \sigma})^2} \right) \right)$$

C constants obtained from CoREAS simulations

≦ 5 stations: get  $\Lambda$  and  $\sigma$

≧ 5 stations : get  $\Lambda$ ,  $\sigma$ ,  $r_{\text{core}}$

TABLE III. Parameters  $C_0 - C_4$  of Eq. (4).  $C_3 = 16.25$  m and  $C_4 = 0.0079 \text{ m}^{-1}$ . The zenith-angle dependent values used to predict the emission pattern are given for zenith angle bins up to  $60^\circ$ .

zenith angle	$C_0$	$C_1$ [m]	$C_2$ [m]
$0^\circ - 10^\circ$	0.41	$-8.0 \pm 0.3$	$21.2 \pm 0.4$
$10^\circ - 20^\circ$	0.41	$-10.0 \pm 0.4$	$23.1 \pm 0.4$
$20^\circ - 30^\circ$	0.41	$-12.0 \pm 0.3$	$25.5 \pm 0.3$
$30^\circ - 40^\circ$	0.41	$-20.0 \pm 0.4$	$32.0 \pm 0.6$
$40^\circ - 50^\circ$	0.46	$-25.1 \pm 0.9$	$34.5 \pm 0.7$
$50^\circ - 60^\circ$	0.71	$-27.3 \pm 1.0$	$9.8 \pm 1.5$

$X_{\max}$

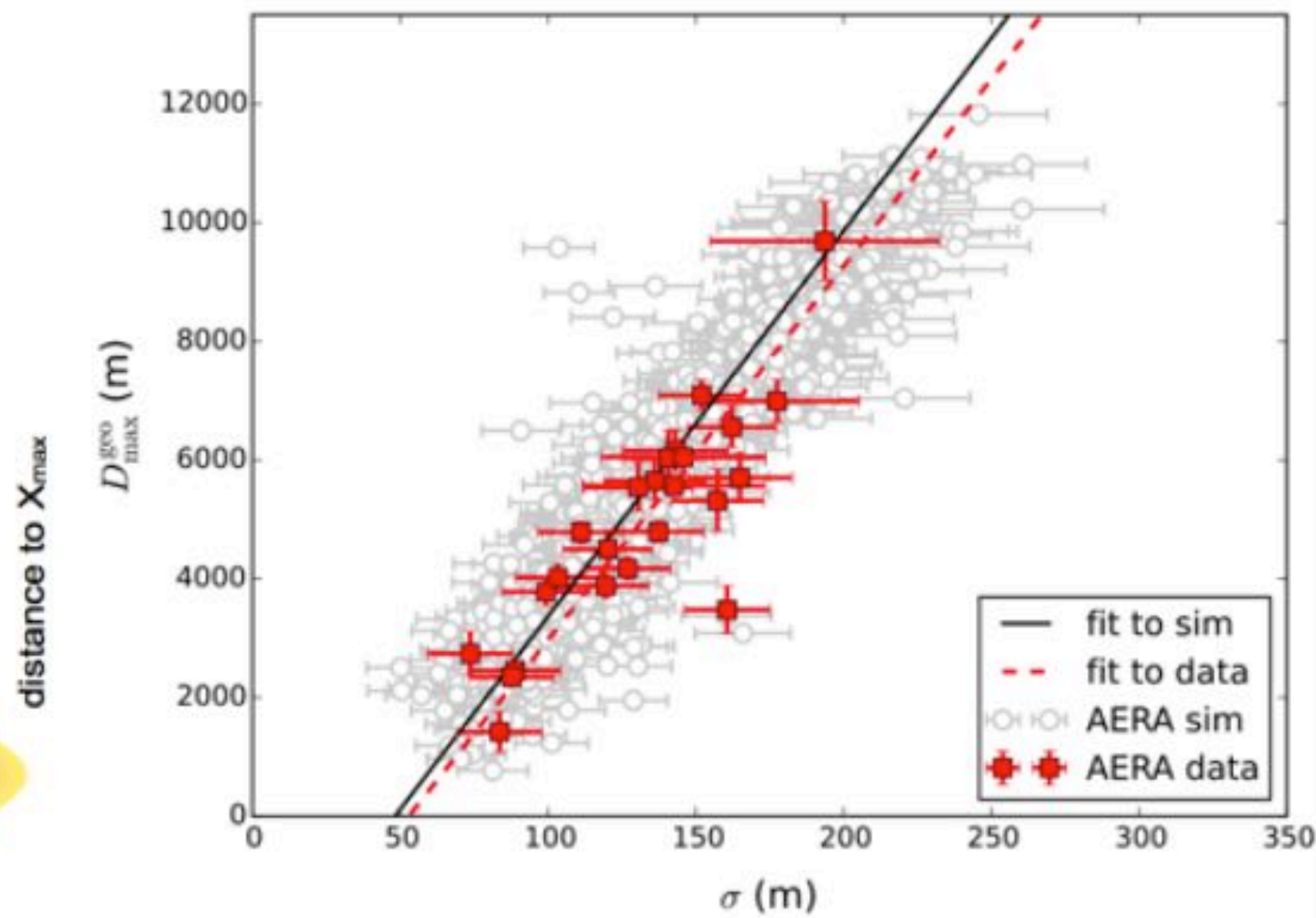
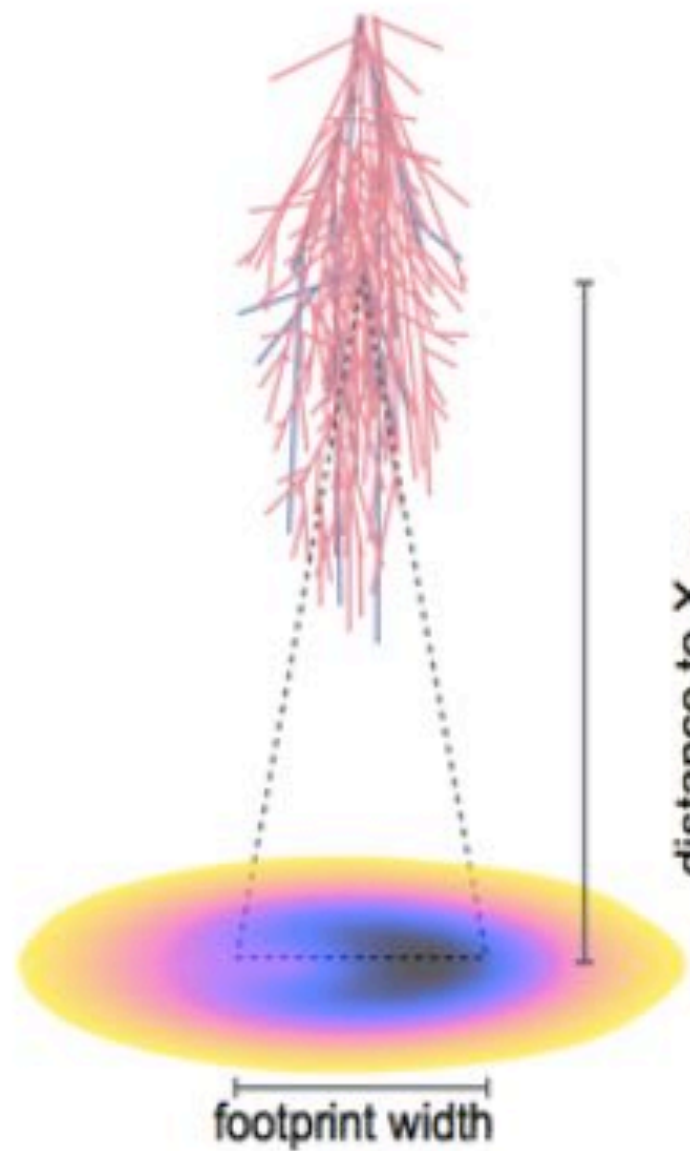
Method	A	B	C	D
model	<b>SELFAS</b> Astropart. Phys. 35 (2012) 733 – 741	<b>2D gaussian</b> Astropart. Phys. 60 (2015) 13	<b>CoREAS</b> AIP Conf. Proc. (2013) 128– 132	<b>ZHAireS</b> horizontal components Astropart. Phys. 59 (2014) 29
requirements	RD arrival direction	RD arrival direction	SD arrival direction SD energy	SD core (initialization) SD energy
# of simulations per event	40 p + 10 Fe	no simulation	20 p + 10 Fe	30 p + 30 Fe

(Florian Gaté, ARENA 2016)

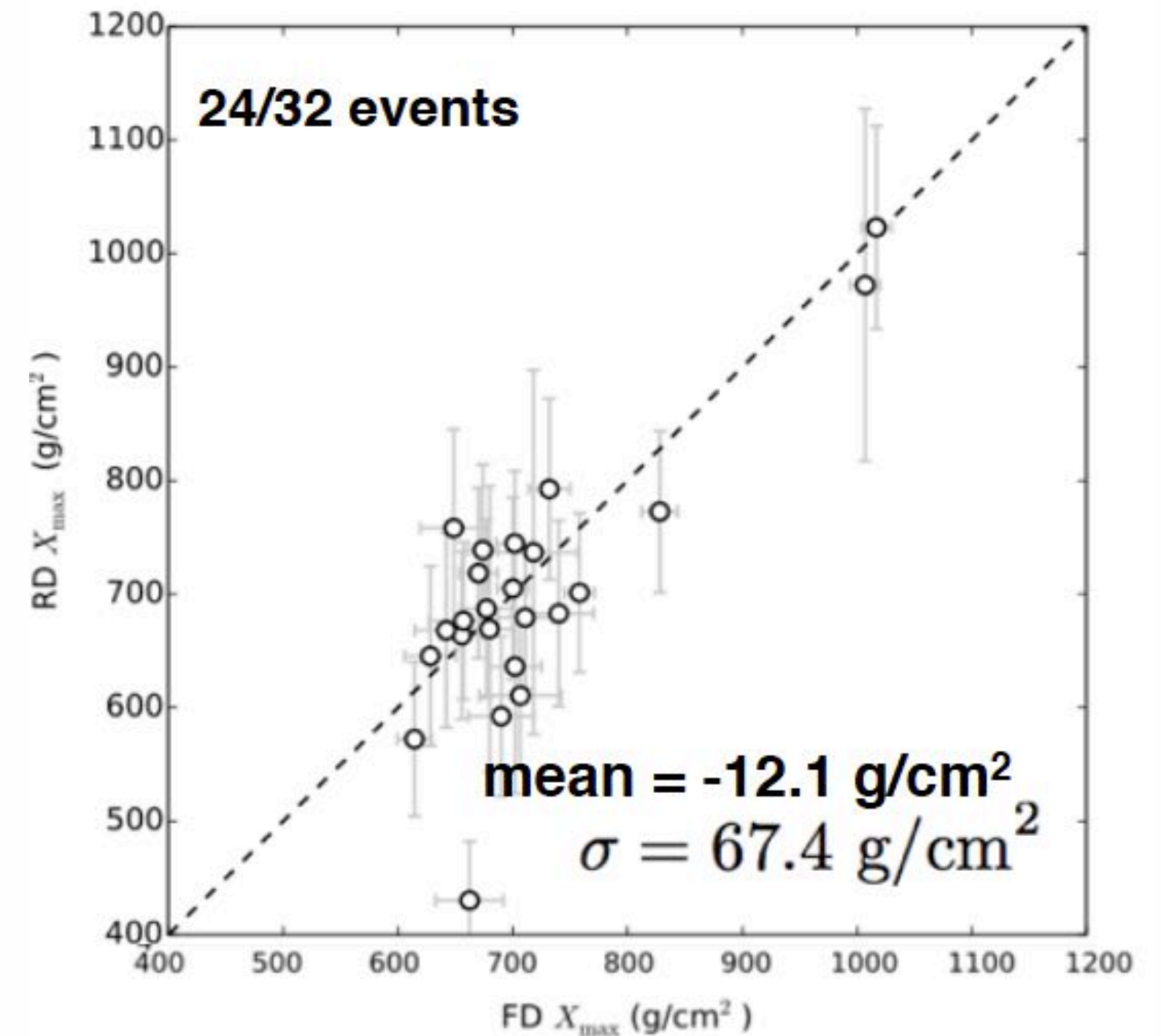
# $X_{\max}$

method based on the 2D LDF fit

$$\text{LDF}(\vec{r}) = \Lambda \left( \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_1 \vec{e}_{\vec{v} \times \vec{B}})^2}{\sigma^2} \right) - C_0 \exp \left( -\frac{(\vec{r} - \vec{r}_{\text{core}} + C_2 \vec{e}_{\vec{v} \times \vec{B}})^2}{(C_3 e^{C_4 \sigma})^2} \right) \right)$$

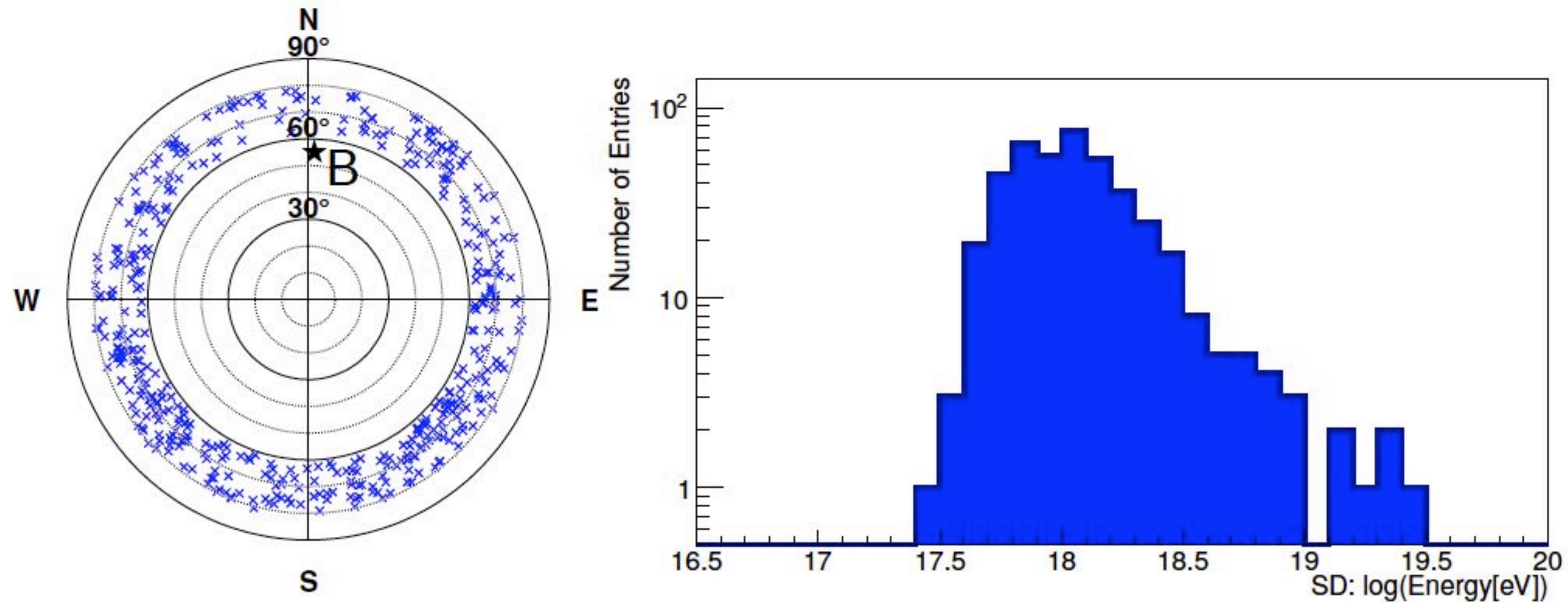


$$D_{\max}^{\text{geo}}(X_{\max}, \theta) = (h_{\text{GDAS}}(X_{\max}/\cos \theta) - h_{\text{Auger}})/\cos \theta$$



# Horizontal showers

large multiplicity events (station spacing 750 m)



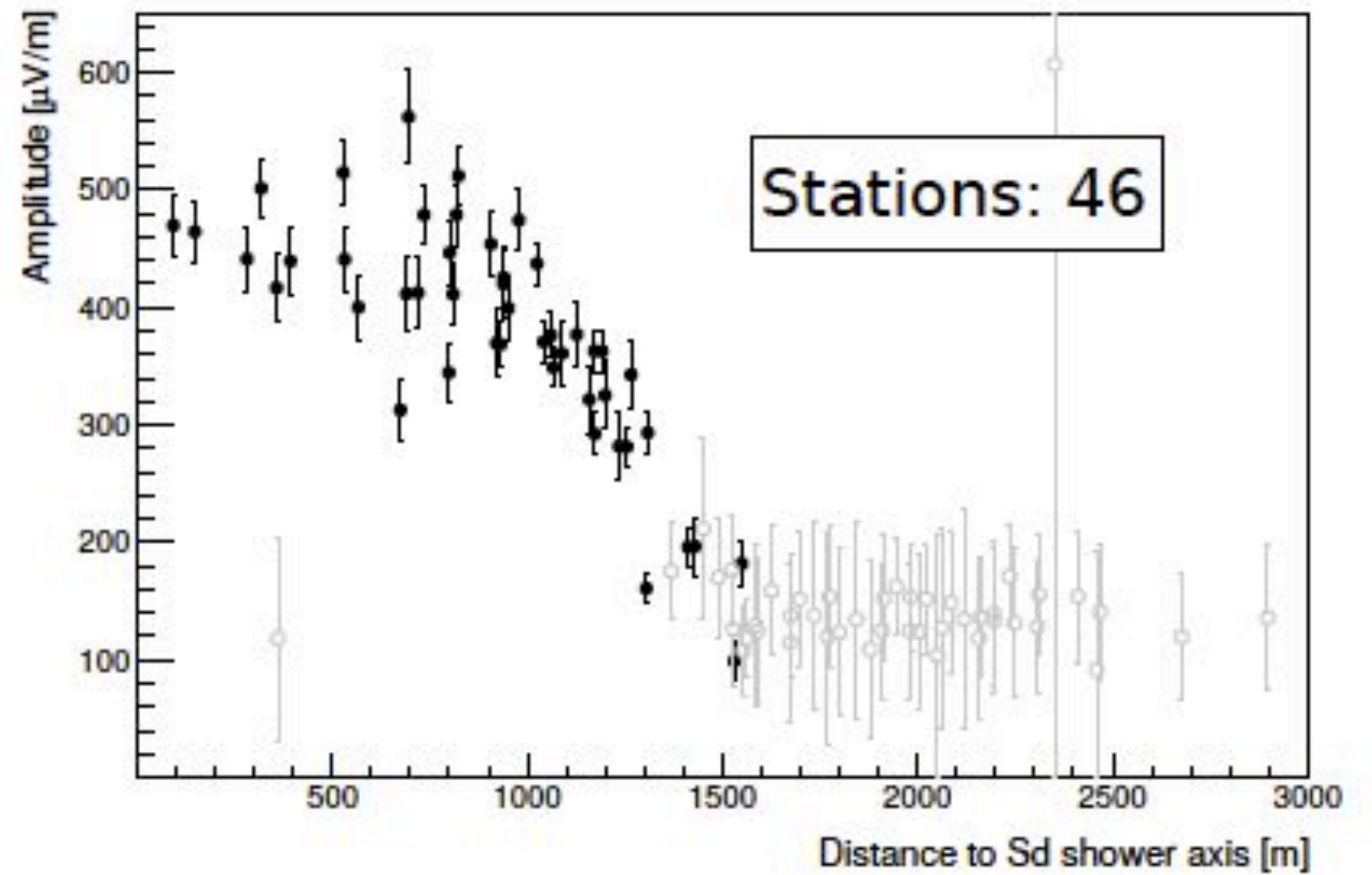
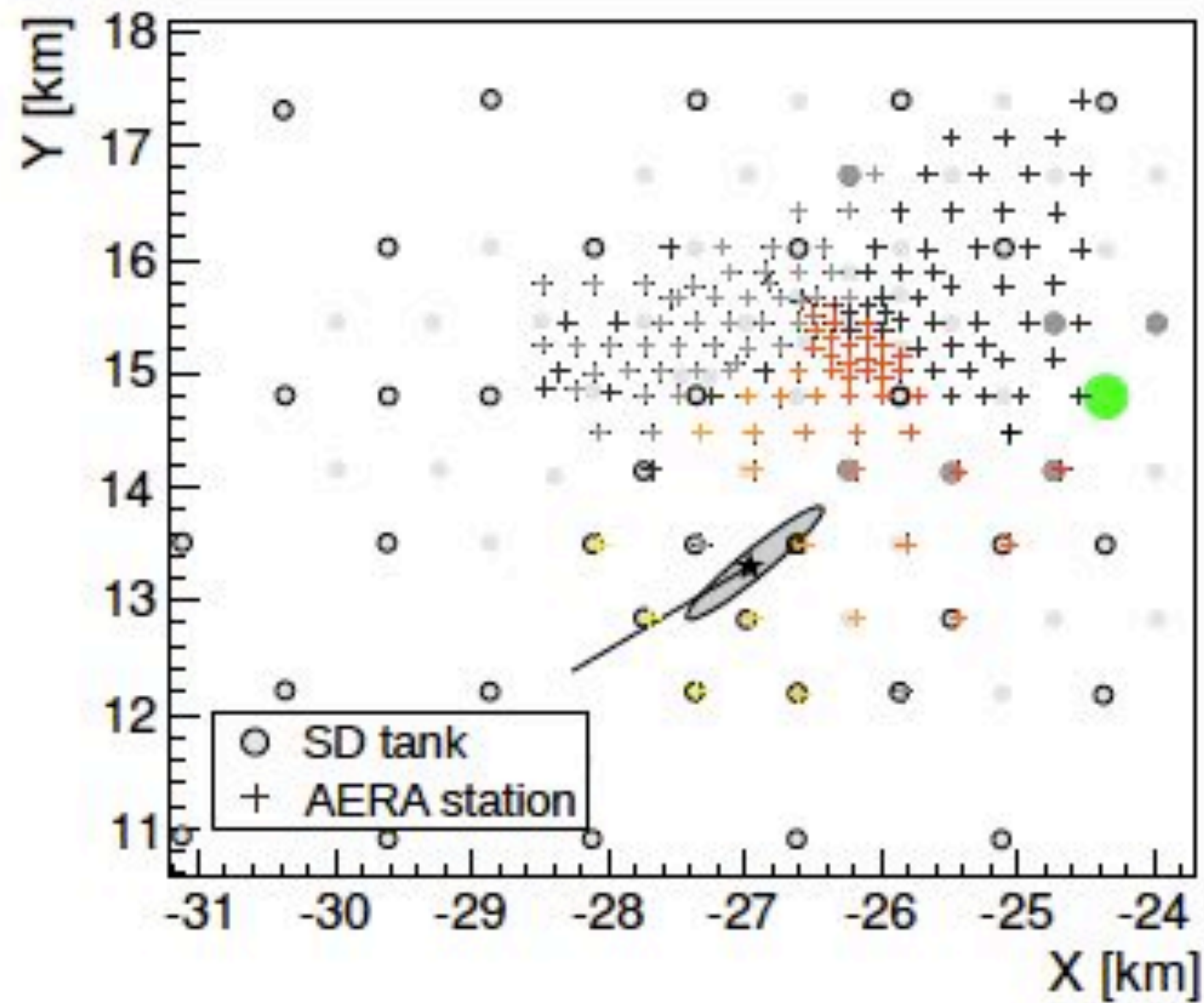
- 427 high quality horizontal radio events selected (January 1, 2012 to August 15, 2015)
- triggered and reconstructed by 1.5 km grid of surface tanks
- cut on zenith angles of  $62^\circ$  to  $80^\circ$

(Olga Kambeitz, ARENA 2016)



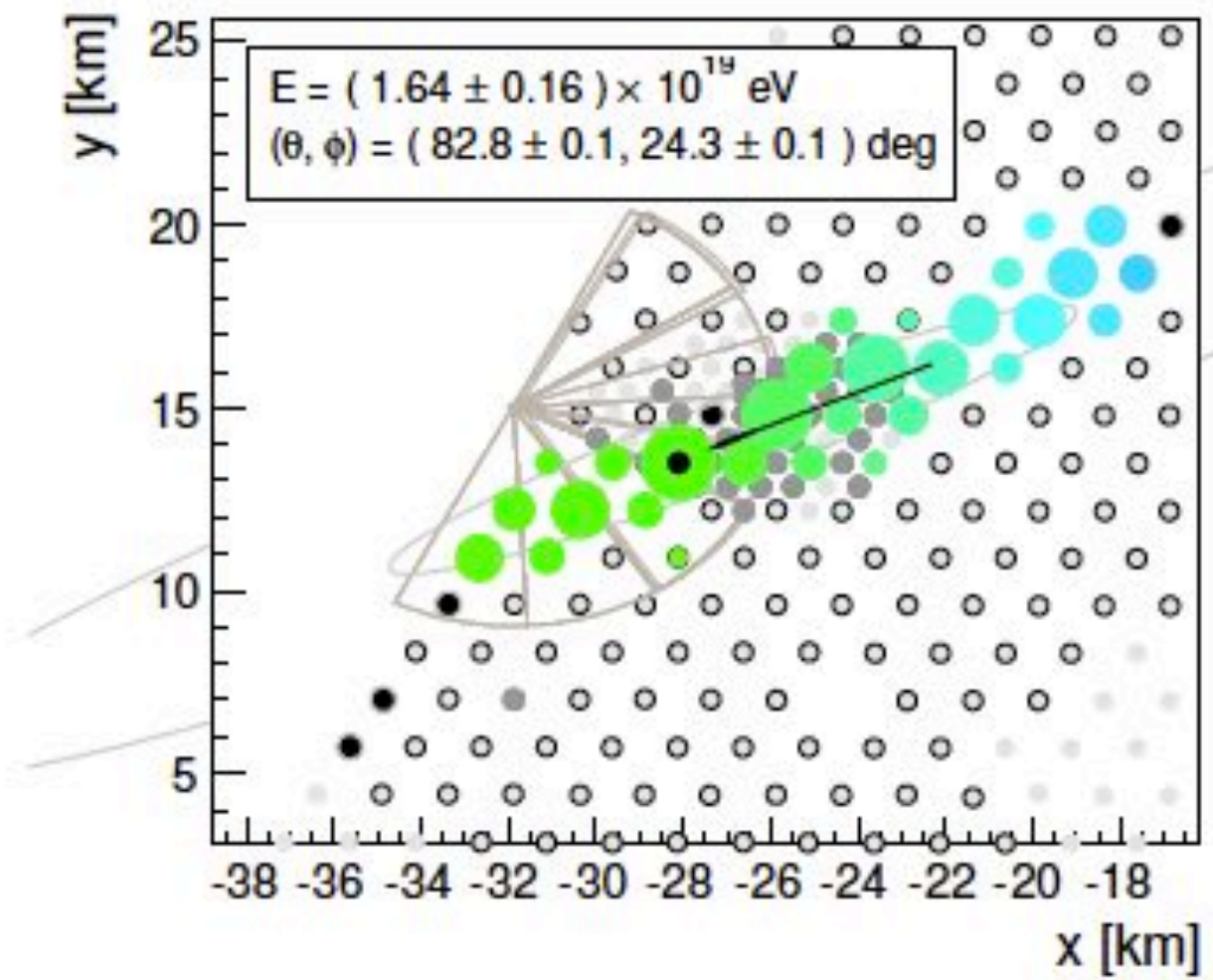
# Horizontal showers

large multiplicity events (station spacing 750 m)



# Horizontal showers

## SD HAS



## AERA

