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# (P)DNN VS INV MASS FIT

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# WHAT'S NEW

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- R33-24 e reader fixed for signal jets in the Resolved case
- Fair comparison of significance between inv Mass fit and score fit
  - See Alessandra & Giannini
- In the merged regime use also Maria Multi-class scores:
  - Classify large-R jets in  $H \rightarrow bb$ ,  $W/Z \rightarrow qq$ ,  $W/Z \rightarrow \text{jets}$ , top, multijet

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# SIGNIFICANCE

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- [http://www.dmf.unisalento.it/~spagnolo/allow\\_listing/DBL/significance.html](http://www.dmf.unisalento.it/~spagnolo/allow_listing/DBL/significance.html)

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# ANALYSIS STRATEGY

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- complexity:
  - DNN score fit -> bkg score distribution depends on mass hypo under test
    - When deriving limits, for each mass hypo we need
      - A NN model
      - a template for the signal pdnn score
      - a template for the bkg pdnn score
  - (p)DNN score fit a single NN model (per macro region) but bkg score distribution still depends on mass hypo under test
    - When deriving limits, for each mass hypo we need
      - a template for the signal pdnn score
      - a template for the bkg pdnn score
  - Invariant mass fit
    - When deriving limits we need a common bkg distribution + for each mass hypo under test
      - a template for the signal pdnn score
  - Invariant mass fit after cut on (p)DNN score sculpt the invariant-Mass distribution

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# A NEW STRATEGY ??

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- When computing a score of an event with a pDNN model,
  - We do:
    - $\text{score} = \text{NNOutput}(\text{mass-hypo}; \text{input variables}) \rightarrow \text{mass-hypo dependent}$
  - For each kind of signal (RSG/Radion/HVTWZ) and region/regime
    - Select  $N = 20-30$  arbitrary values of the mass hypo (in the sensitivity range)
      - Compute  $O = \sum_{i=1}^N \text{NNOutput}(m_i; \text{input var})$ 
        - ***O does not depend on  $m_i$***
        - The distribution of  $O$ 
          - for bkg events will peak at 0
          - For a signal event of mass close to  $M$  it will peak at 1 due to the components in the sum corresponding to  $m_i \sim M$ 
            - The distribution for the signal depends on the signal mass, but is very similar for all values of signal masses (always a peak at 1, how much wide ? )

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# A NEW STRATEGY ??

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- For each kind of signal (RSG/Radion/HVTWZ) and region/regime
  - Select  $N = 20-30$  arbitrary values of the mass hypo (in the sensitivity range)
    - Compute  $O = \sum_{i=1}^N NNOutput(m_i; \text{input var})$ 
      - ***O does not depend on  $m_i$***
- ***Estimate O for the background (once)***
- ***Estimate  $O_i$  for the signal at each (fully simulated)  $m_i$  value (with  $l=1, \dots, k$ ) we want to use in limit derivation (once for each mass)***
  - ***Interesting to see how similar/different  $O_i$  are for  $l = 1, \dots, K$***
- ***A cut  $O > O_{cut}$  selects signal events (what event the mass of the signal is) (\*)***
- ***Events in the signal enriched region may be used for an invariant mass fit***
  - ***Sculpting ?***
    - ***Maybe limited (negligible) since signal of any mass is selected by (\*)***